

Precision resonance energy scans at PANDA

-- Sensitivity study for width & line shape measurements of X(3872)

K.Götzen, R.Kliemt, **Frank Nerling***, K.Peters
**Frankfurt University, GSI Darmstadt*
on behalf of the PANDA Collaboration

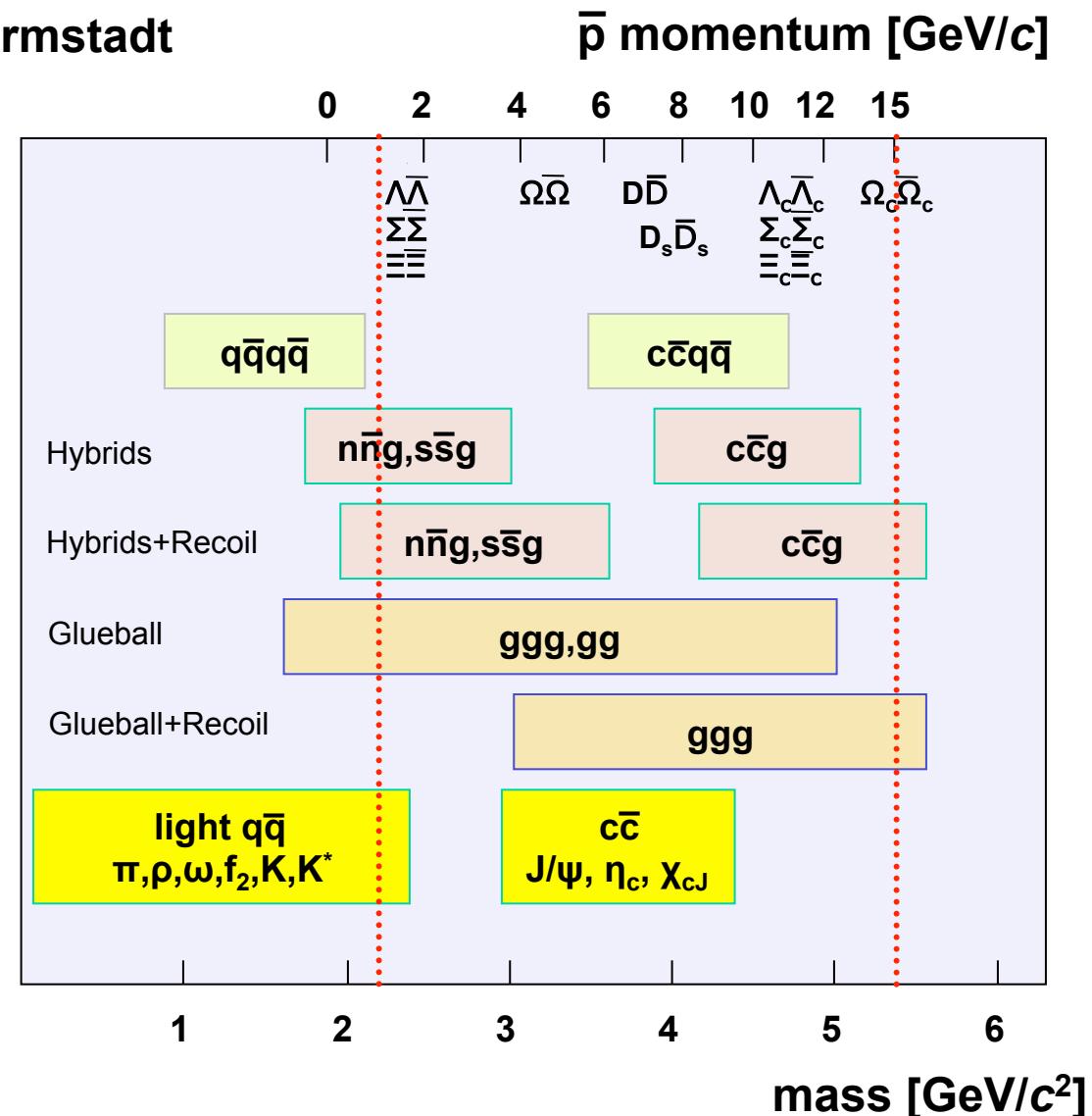
*QWG 2019 – 13th Workshop on Heavy Quarkonium,
Turin, Italy, May 13th – 17th 2019*

Outline

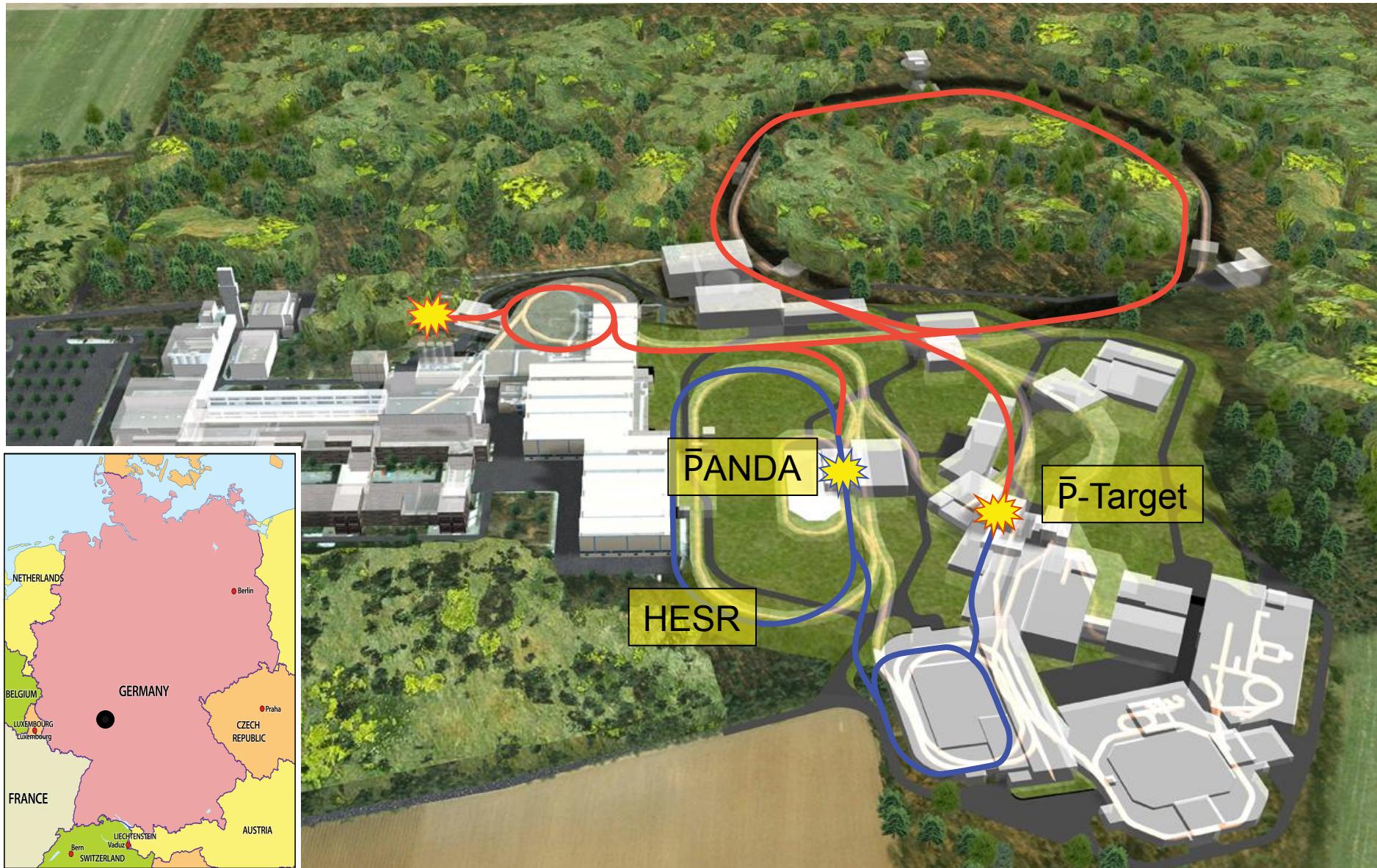
- **Introduction**
 - Motivation, PANDA physics programme
 - Advantage of anti-protons
- **Energy scans of very narrow resonances**
 - The puzzle of the X(3872) & handle for clarification
 - Comprehensive performance study
- **Further unique opportunities**
 - Importance of high-spin states
- **Summary & outlook**

Anti-Proton ANnihilation in DArmstadt

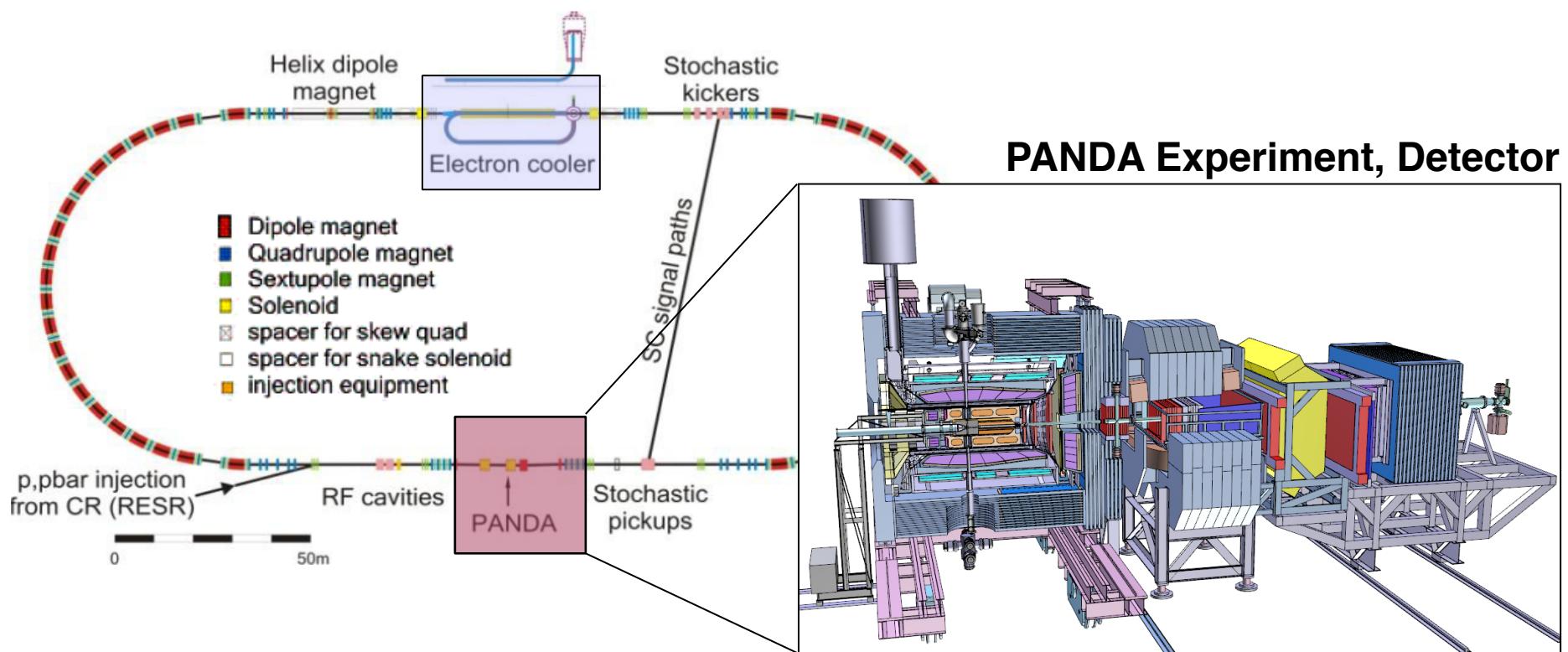
- Hadron spectroscopy
 - Light mesons
 - Charmonium
 - Exotic states:
glue-balls, hybrids,
molecules / multi-quarks
- (Anti-) Baryon production
- Nucleon structure
- Charm in nuclei
- Strangeness physics
 - hypernuclei
 - S = -2 nuclear system



Facility for Antiproton and Ion Research



High Energy Storage Ring -- HESR



High Resolution (HR) mode:

- Luminosity up to $2 \times 10^{31} \text{ cm}^{-2} \text{ s}^{-1}$
- $\Delta p/p = 2 \times 10^{-5}$

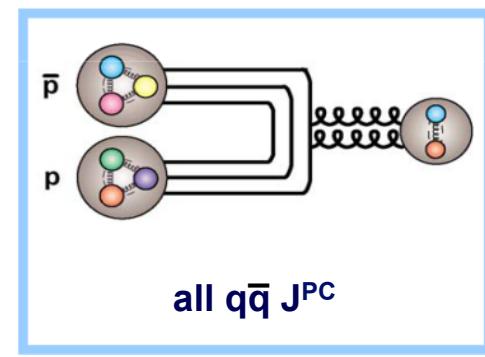
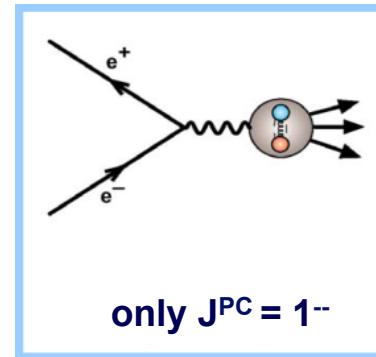
High Luminosity (HL) mode:

- Luminosity up to $2 \times 10^{32} \text{ cm}^{-2} \text{ s}^{-1}$
- $\Delta p/p = 1 \times 10^{-4}$

Some Advantages of Anti-Protons

- Access to all fermion-antifermion quantum numbers (*not in e⁺e⁻*)
- Access to states of high spin J

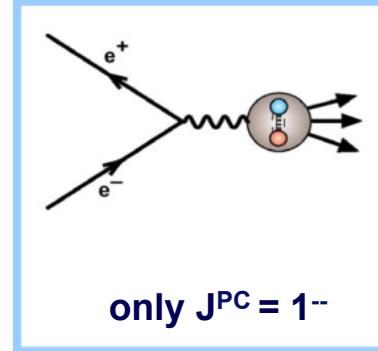
Formation:



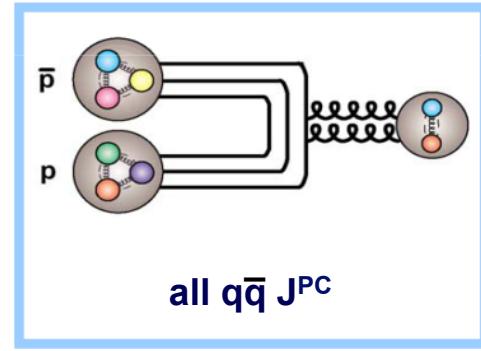
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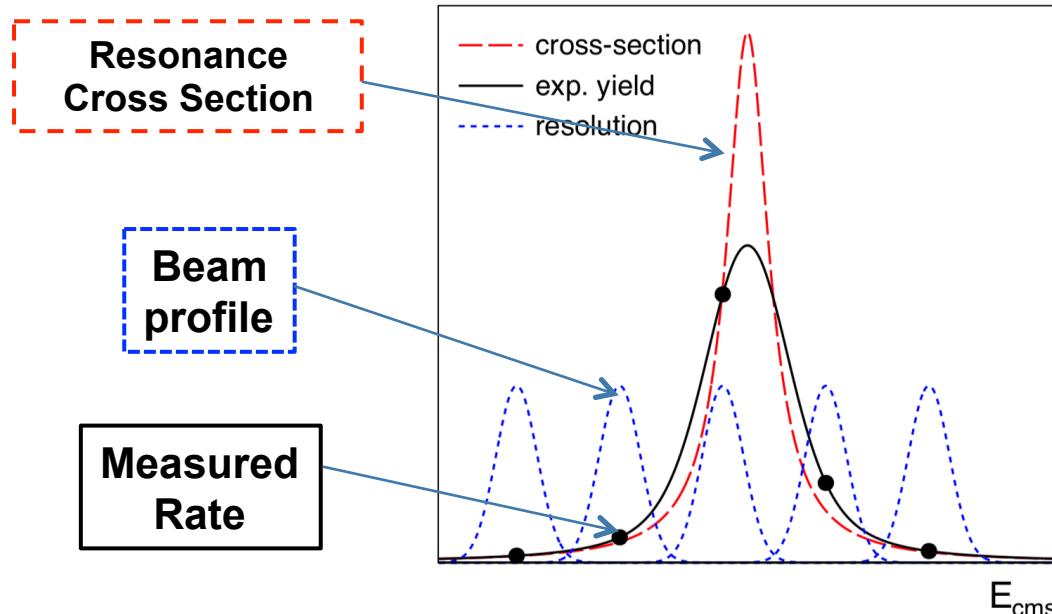
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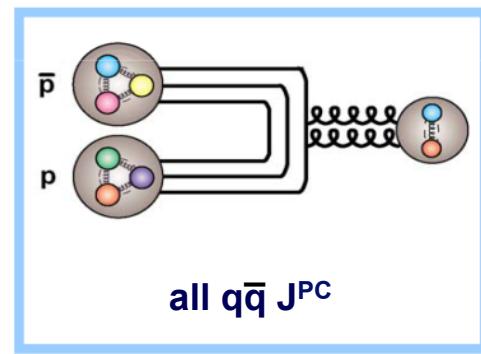
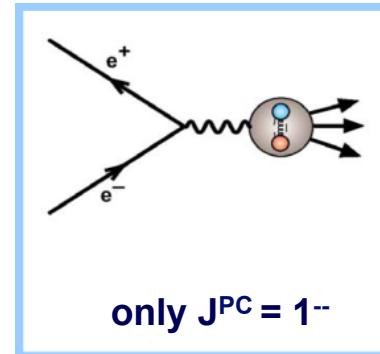
- Precise mass resolution in formation reactions



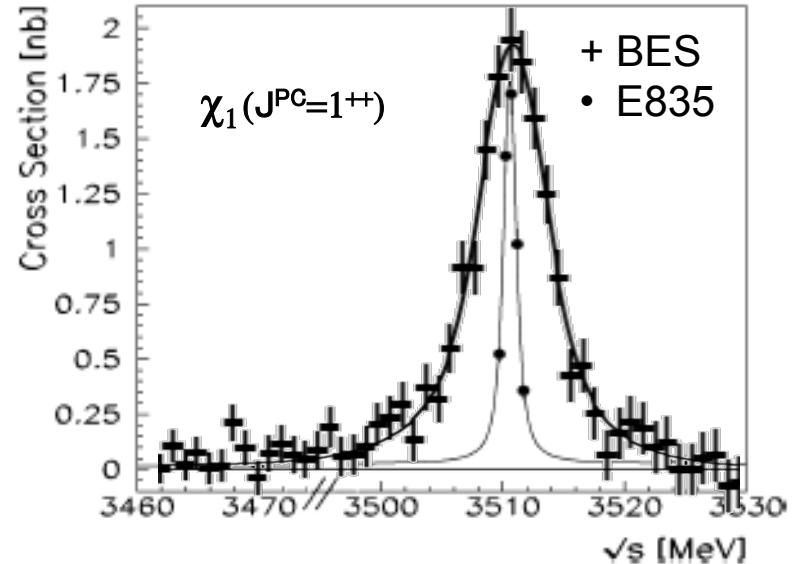
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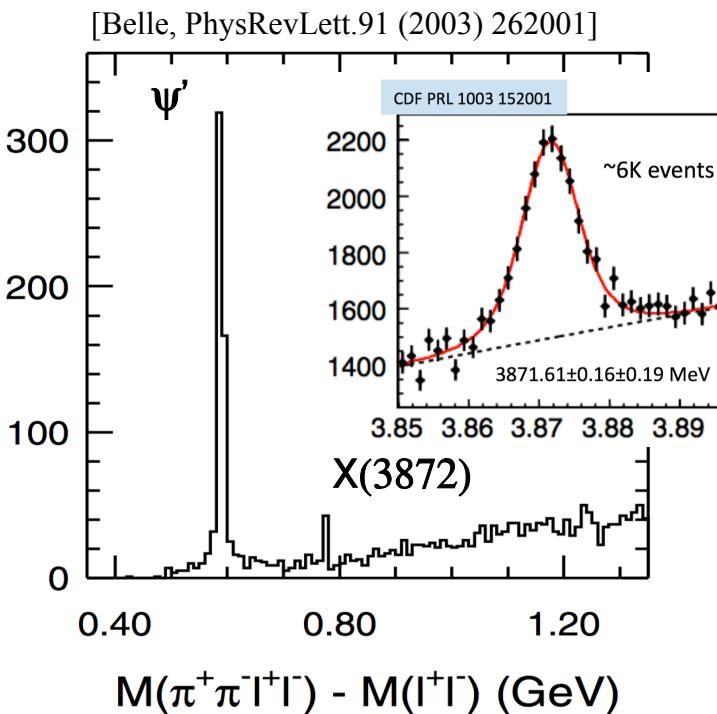
E760/835@Fermilab ≈ 240 keV
 PANDA@FAIR ≈ 50 keV



Ablikim et al., Phys. Rev. D71 (2005) 092002:
BES (IHEP): 3510.3 ± 0.2 MeV/c²

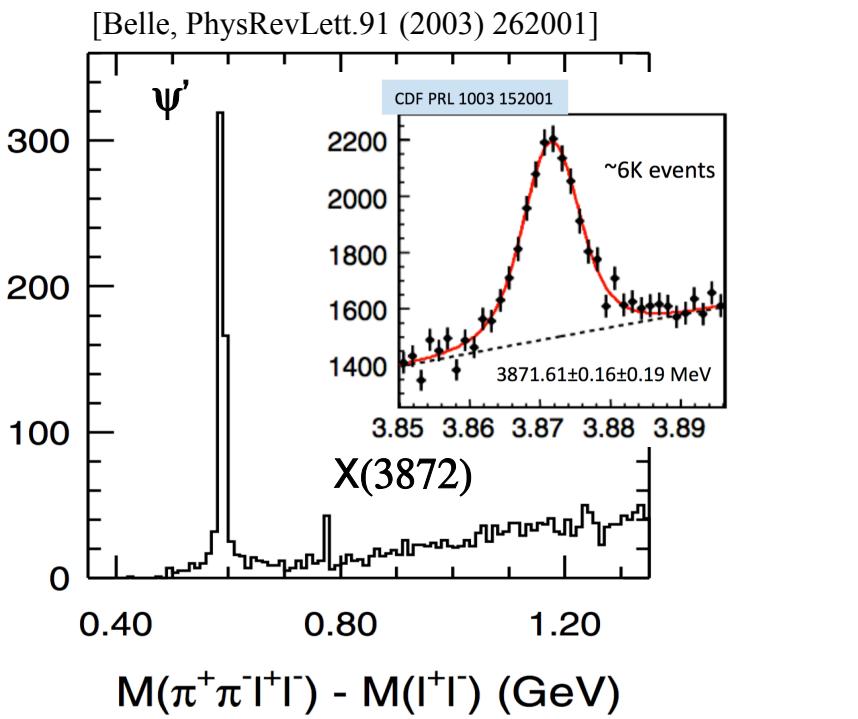
Andreotti et al., Nucl. Phys. B717 (2005) 34:
E835 (Fermilab): 3510.641 ± 0.074 MeV/c²

Experimental Review of the X(3872)



- The first unexpected states
 - and the most intriguing one
- First observed by Belle in 2003
 - $X(3872) \rightarrow J/\psi \pi\pi$
 - very narrow state with $J^{PC} = 1^{++}$
- Both, Belle & BaBar report signal in
 - $X(3872) \rightarrow D^0 \bar{D}^{*0}$ ($D^0 D^0 \pi^0$ and $D^0 D^0 \gamma$)

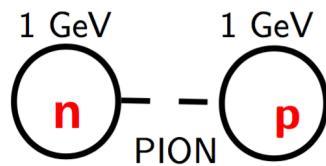
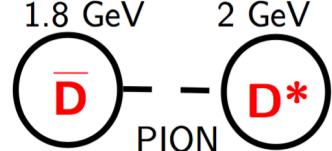
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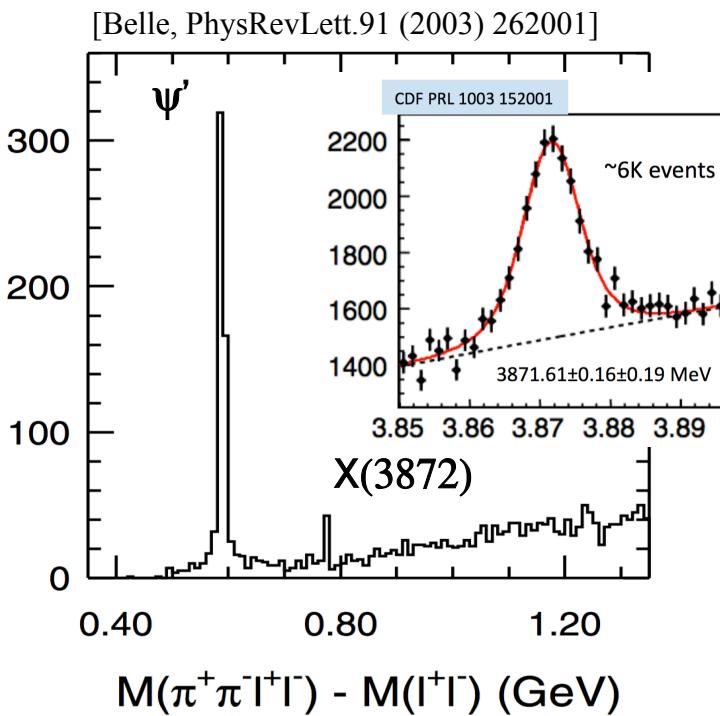
- Mass: $m(X) - m(\bar{D}^{*0}) - m(D^0) =$
 $= -0.12 \pm 0.19 \text{ MeV}/c^2$
- Width: Upper limit by Belle
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Intriguing Analogon
 "binding energy" of
 $-0.12 \pm 0.19 \text{ MeV}$?



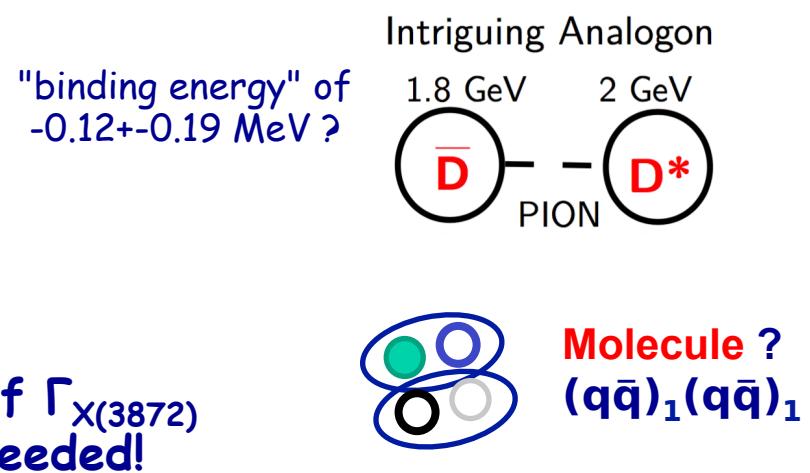
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For clarification: Precision measurement of $\Gamma_{X(3872)}$ in the sub-MeV range needed!

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Molecular Picture

- Lineshapes from Kalashnikova et al. [Phys. Atom. Nucl. 73 (2010) 1592]
- Here only interested in $X(3872) \rightarrow J/\psi \rho^0$

$$\sigma(E) = C \cdot \frac{\Gamma_{\pi^+ \pi^- J/\psi}(E)}{|D(E)|^2}$$

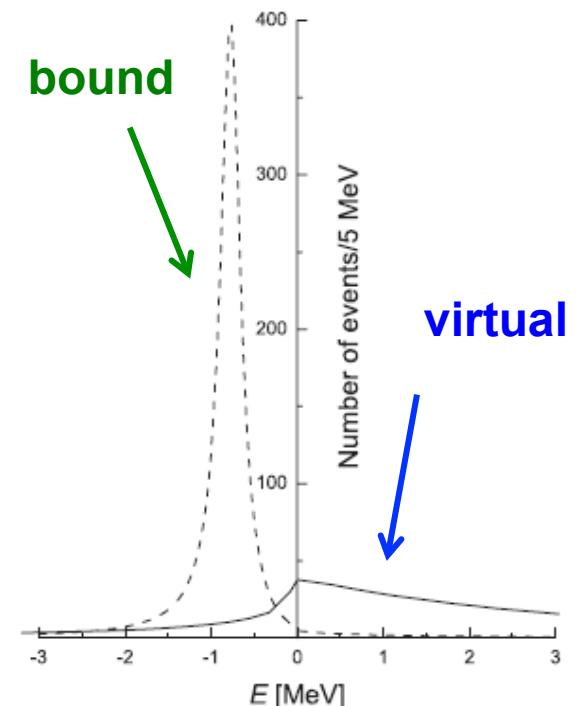
(assuming line-shape as in B decays)

$$D(E) = \begin{cases} E - E_f - \frac{g_1 \kappa_1}{2} - \frac{g_2 \kappa_2}{2} + i \frac{\Gamma(E)}{2}, & E < 0, \\ E - E_f - \frac{g_2 \kappa_2}{2} + i \left(\frac{g_1 k_1}{2} + \frac{\Gamma(E)}{2} \right), & 0 < E < \delta, \\ E - E_f + i \left(\frac{g_1 k_1}{2} + \frac{g_2 k_2}{2} + \frac{\Gamma(E)}{2} \right), & E > \delta, \end{cases}$$

$$\Gamma(E) = \Gamma_{\pi^+ \pi^- J/\psi}(E) + \Gamma_{\pi^+ \pi^- \pi^0 J/\psi}(E) + \Gamma_0$$

$$\Gamma_{\pi^+ \pi^- J/\psi}(E) = f_\rho \int_{2m_\pi}^{M-m_{J/\psi}} \frac{dm}{2\pi} \frac{q(m)\Gamma_\rho}{(m-m_\rho)^2 + \Gamma_\rho^2/4}$$

$$\Gamma_{\pi^+ \pi^- \pi^0 J/\psi}(E) = f_\omega \int_{3m_\pi}^{M-m_{J/\psi}} \frac{dm}{2\pi} \frac{q(m)\Gamma_\omega}{(m-m_\omega)^2 + \Gamma_\omega^2/4}$$



[Hanhardt et al., PRD 76 (2007) 034007]

Flat energy E_f determines state to be **bound** or **virtual**

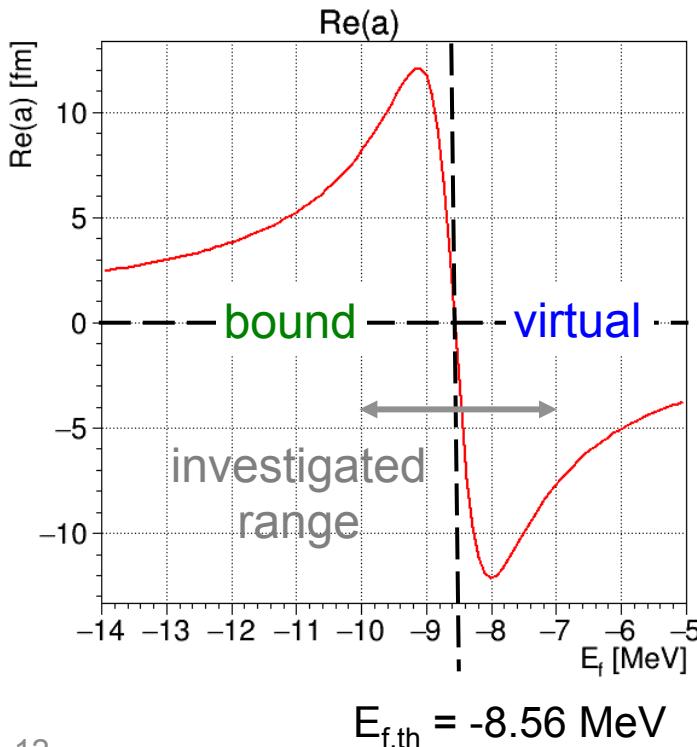
Line shapes for different E_f

Scattering length D^0D^{0*} :

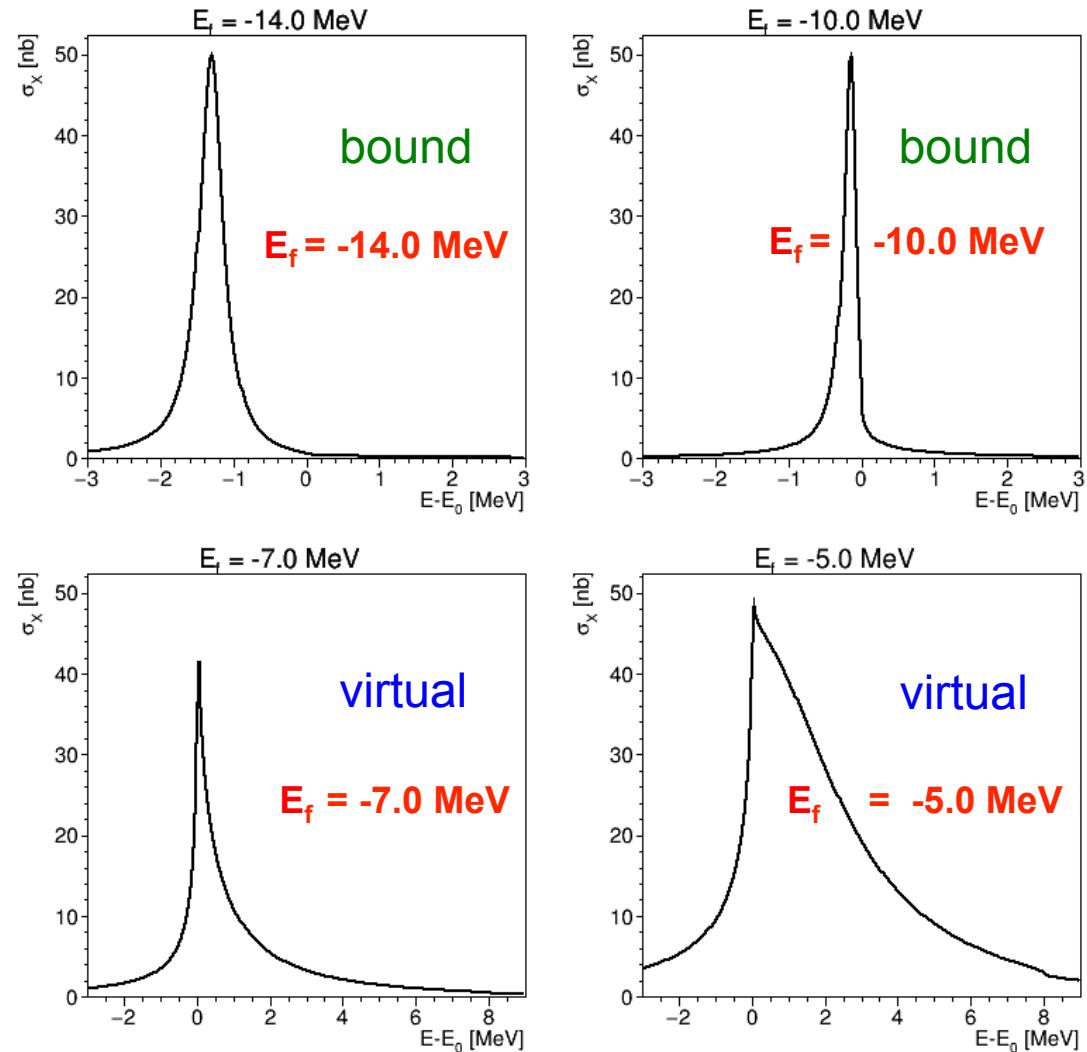
$$a = -\frac{\sqrt{2\mu_2\delta} + 2E_f/g + i\Gamma(0)/g}{(\sqrt{2\mu_2\delta} + 2E_f/g)^2 + \Gamma(0)^2/g^2}$$

$\text{Re}(a) > 0$: bound state

$\text{Re}(a) < 0$: virtual state



Examples always scaled to same f_{\max}



(with $f_\rho=0.00047, f_\omega=0.00271, g=0.137, \Gamma_0=1.0 \text{ MeV}$)

Energy scan of the X(3872)

- **Nature of X(3872)**

- Need line-shape and width to understand structure
- PANDA: Fine scan around nominal mass
=> energy-dependent cross-section

- **Analysis goals**

- Sensitivity of Γ measurement (*conventional BW*)
- Sensitivity for virtual/bound state (*molecular picture*)

- **Analysis strategy**

- Analysis of $X(3872) \rightarrow J/\psi(\ell^+\ell^-) \rho^0(\pi^+\pi^-)$ channel only
- Geant based sim/reco => signal + background efficiencies ϵ_S and ϵ_B
- MC scan simulation with assumption for cross-sections, and integrated luminosities, BRs

- **Three accelerator modes**

- HL (High Lumi) and HR (High Resolution), P1 (Phase-1, reduced lumi/resol.)

Reconstruction Part

Input Parameters

Branching
Fractions

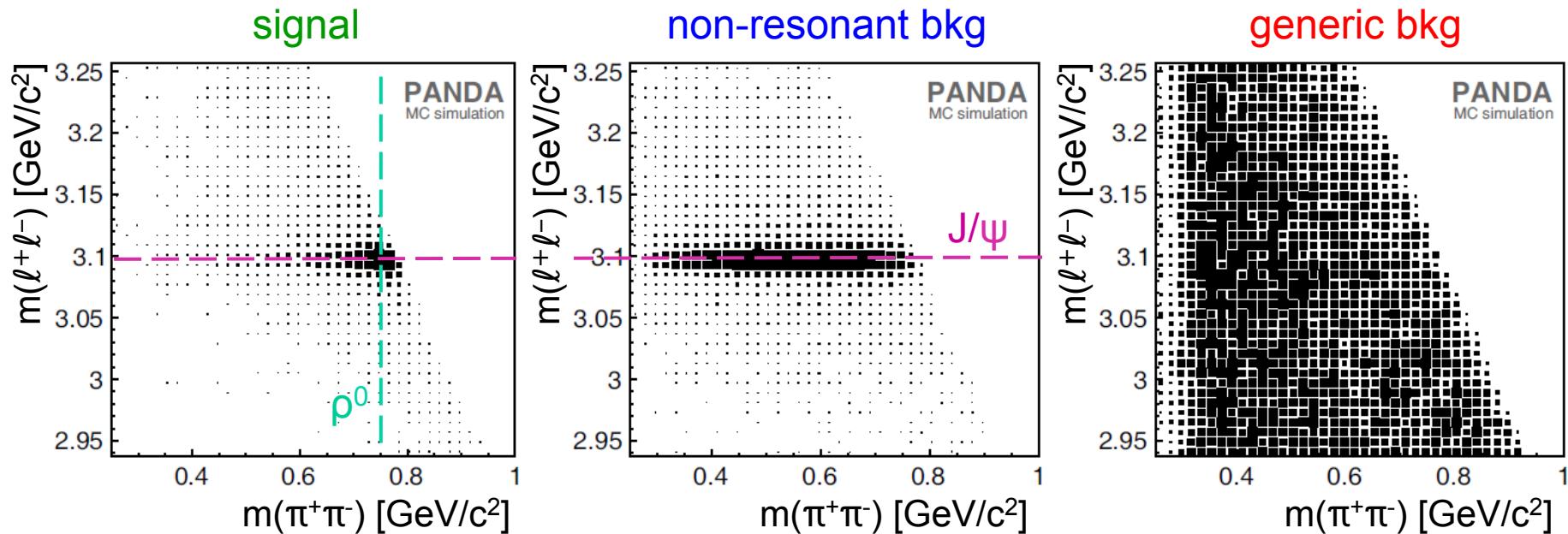
Cross sections

Luminosities

Resolutions

Parameter	Value
BR($J/\psi \rightarrow e^+ e^-$)	5.97 %
BR($J/\psi \rightarrow \mu^+ \mu^-$)	5.96 %
BR($\rho^0 \rightarrow \pi^+ \pi^-$)	100%
BR($X \rightarrow J/\psi \rho^0$)	5 % (UL: 6.6%)
$\sigma_{\text{peak}}(p\bar{p} \rightarrow X)$	[20,30,50,75,100,150] nb
$\sigma(pp \rightarrow J/\psi \pi^+ \pi^- \text{ non-res})$	1.2 nb [theory]
$\sigma(pp \rightarrow \text{inelastic}) @ 3.872 \text{ GeV}$	46 mb [CERN-HERA-84-01 (1984)]
$L_{\text{HL}} @ 3.872 \text{ GeV}$	13683 (nb·d) ⁻¹
$L_{\text{HR}} @ 3.872 \text{ GeV}$	1368 (nb·d) ⁻¹
$L_{\text{P1}} @ 3.872 \text{ GeV}$	1170 (nb·d) ⁻¹
ΔE_{abs} (<i>energy prec. w/ calibration</i>)	168 keV (dp/p = 10 ⁻⁴)
ΔE_{rel} (<i>relative energy positioning</i>)	1.7 keV (dp/p = 10 ⁻⁶)
ΔE_{mom} (HL)	168 keV (dp/p = 10 ⁻⁴)
ΔE_{mom} (HR)	34 keV (dp/p = 2·10 ⁻⁵)
ΔE_{mom} (P1)	84 keV (dp/p = 5·10 ⁻⁵)

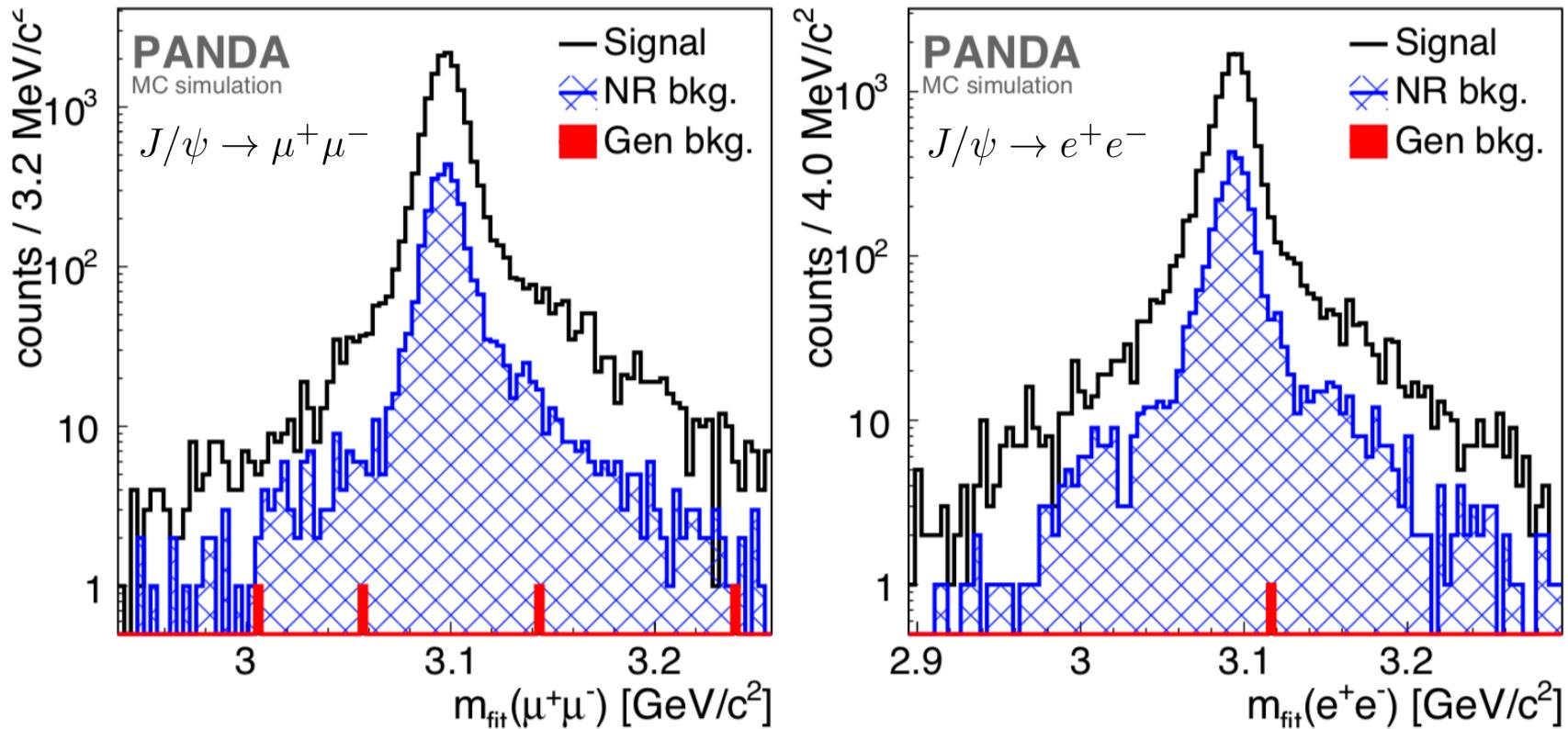
Kinematic Distributions (after 4C fit applied)



Type	Description	Generated Events
signal	$\bar{p}p(\rightarrow X) \rightarrow J/\psi\rho^0 \rightarrow e^+e^-\pi^+\pi^-$ $\bar{p}p(\rightarrow X) \rightarrow J/\psi\rho^0 \rightarrow \mu^+\mu^-\pi^+\pi^-$	100k each
non-resonant bkg	$\bar{p}p \rightarrow J/\psi (\rightarrow e^+e^-)\pi^+\pi^-$ $\bar{p}p \rightarrow J/\psi (\rightarrow \mu^+\mu^-)\pi^+\pi^-$	
generic bkgd	$\bar{p}p \rightarrow$ anything (Dual Parton Model)	10B (10M sim.)

Event Selection Results

(after final selection and 4C fit)

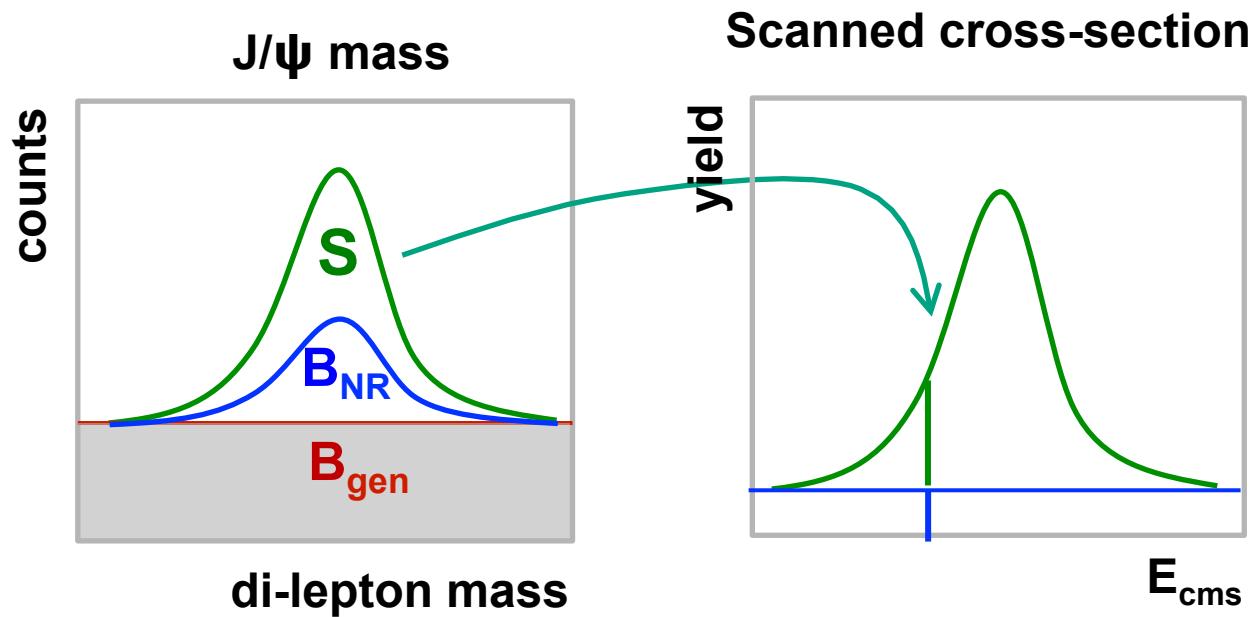


$X(3872) \rightarrow J/\psi \pi^+ \pi^-$	ϵ_S	$\epsilon_{B,\text{gen}}$	$\epsilon_{B,\text{NR}}$
$J/\psi \rightarrow e^+e^-$	12.2%	$1.0 \cdot 10^{-10}$	2.8%
$J/\psi \rightarrow \mu^+\mu^-$	15.2%	$4.5 \cdot 10^{-10}$	3.0%

Energy scan part

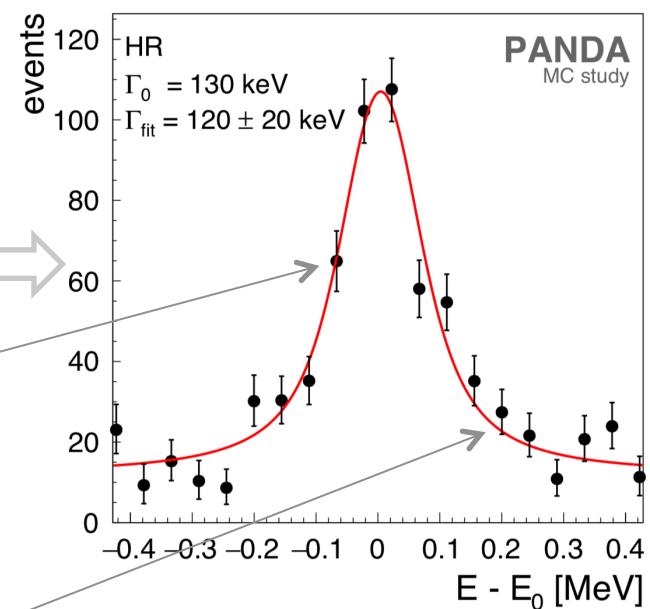
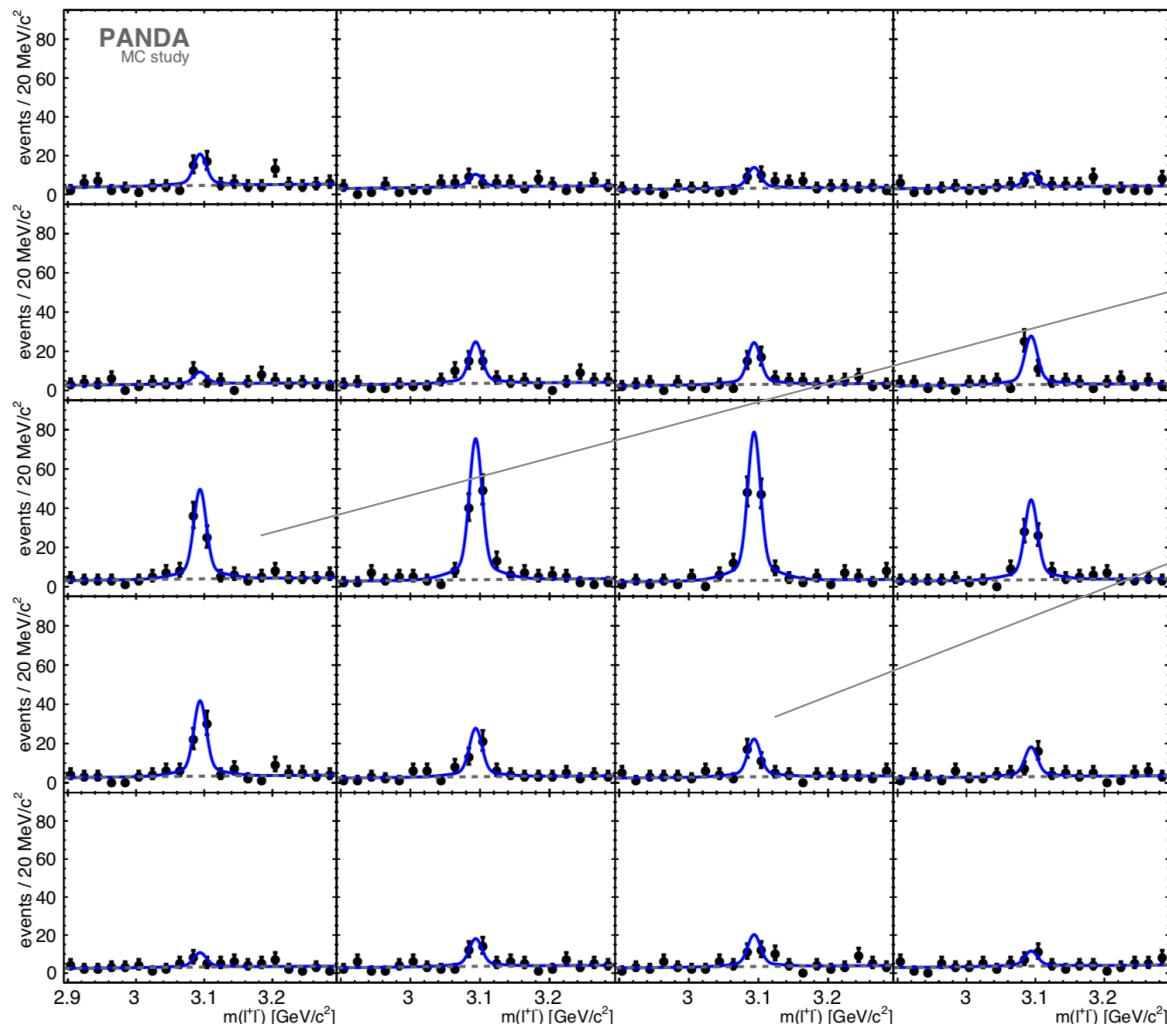
Simulated extraction of energy-dependent yield:

- Fit **signal** in J/ψ mass
 - Removes **generic** background
 - **NR** background still present
- Requires sufficiently large J/ψ mass window



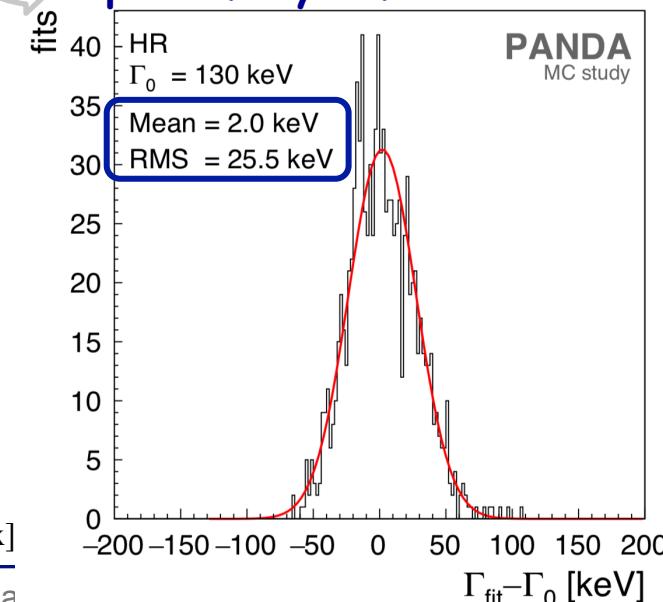
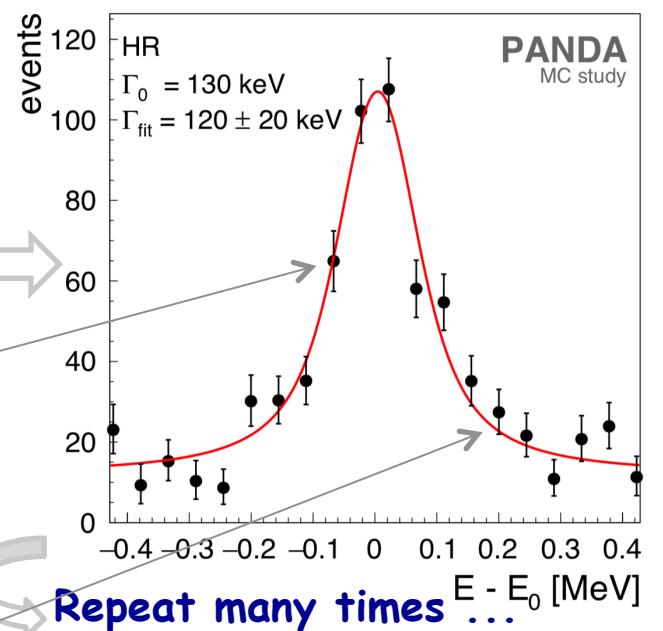
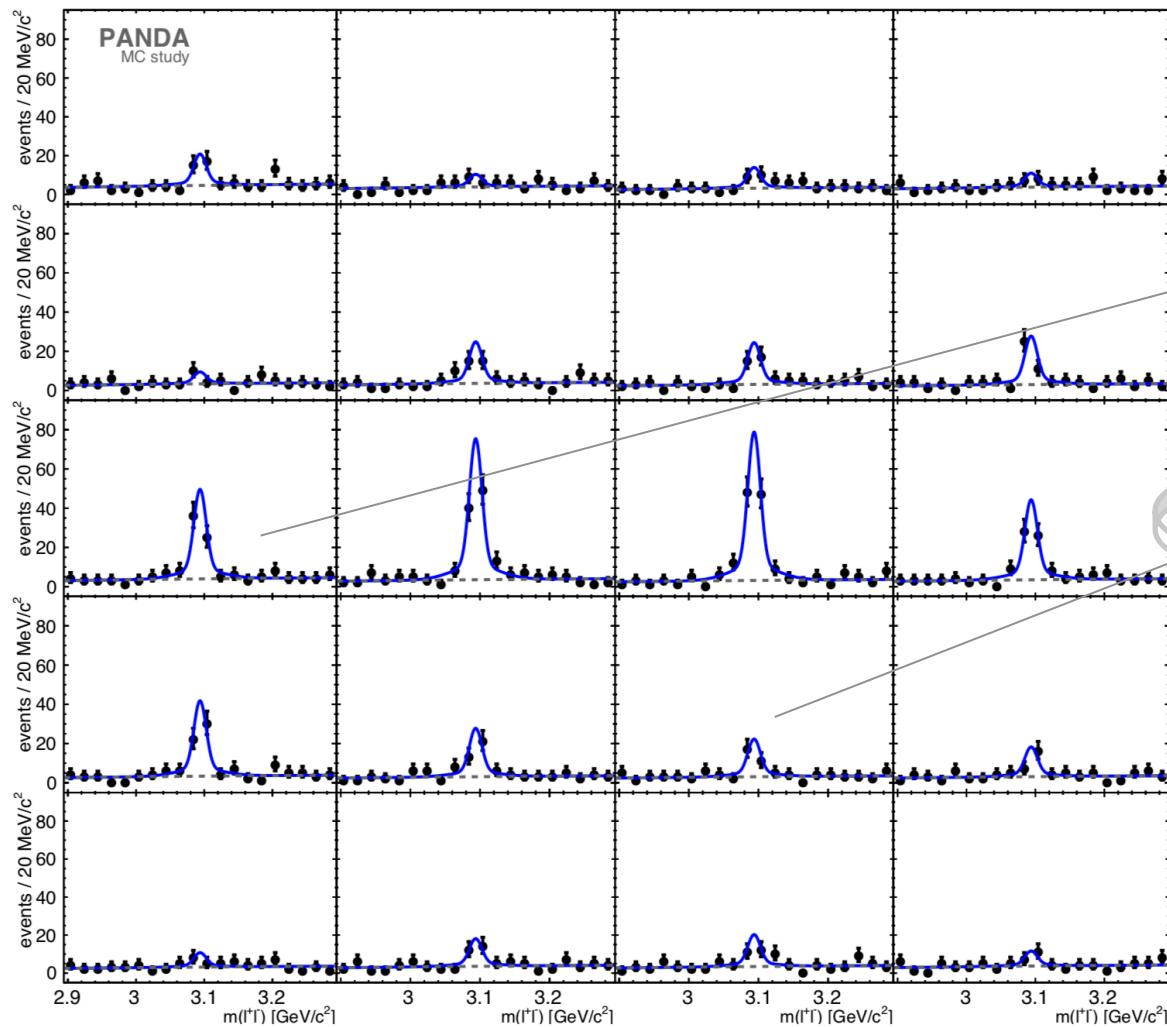
Scan Procedure Principle (Example)

20 E_{cms} scan point within ± 0.4 MeV window around nominal mass



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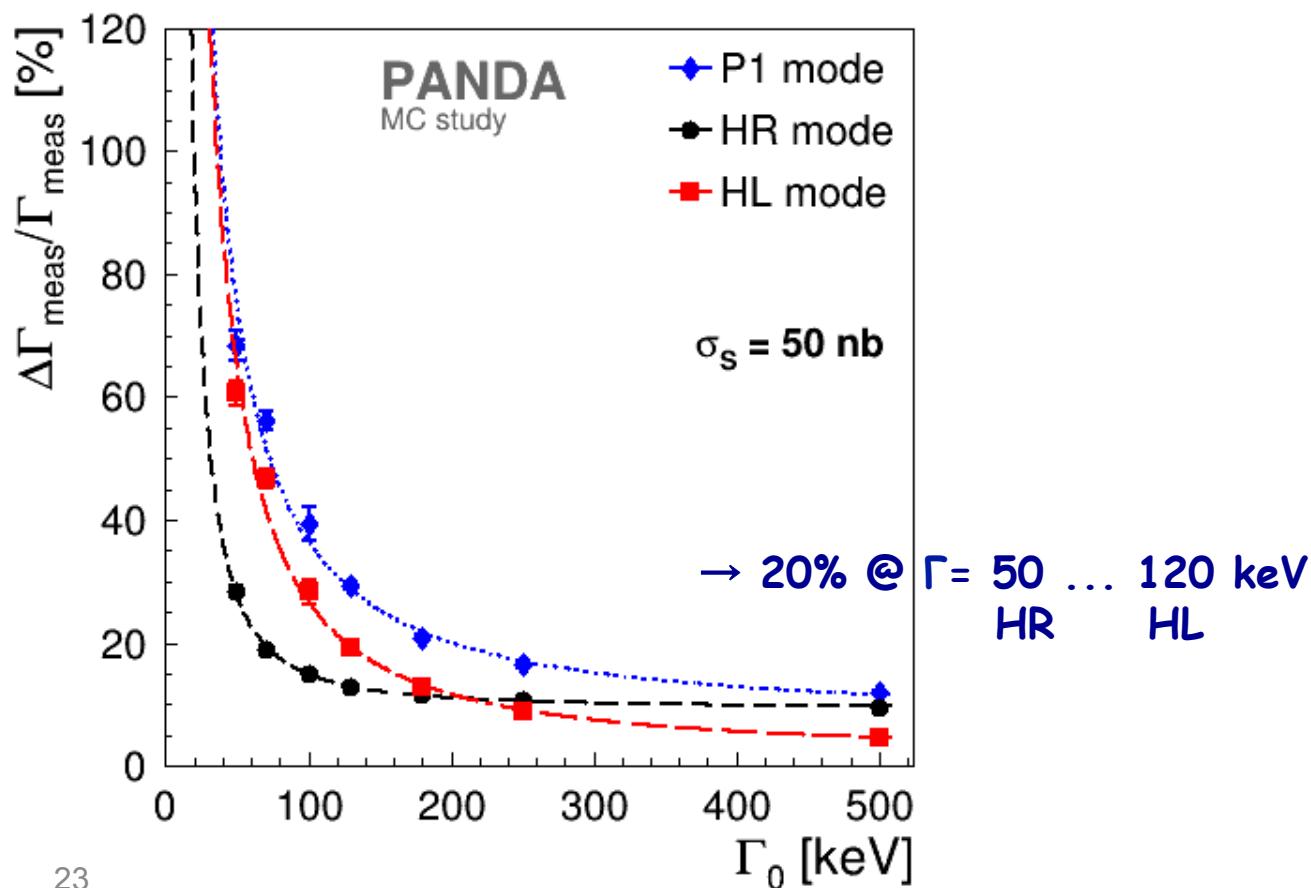


Sensitivities Breit-Wigner Γ (40 x 2d)

- Extract standard deviation from toy MC fits
- Show relative error $\text{rms}_{\text{fit}}/\bar{\Gamma}_{\text{fit}}$ in [%]

Sensitivity

$$\frac{\Delta \Gamma_{\text{meas}}}{\Gamma_{\text{meas}}} = \frac{\text{RMS}}{\text{Mean} + \Gamma_0} \quad (\text{Breit-Wigner case})$$

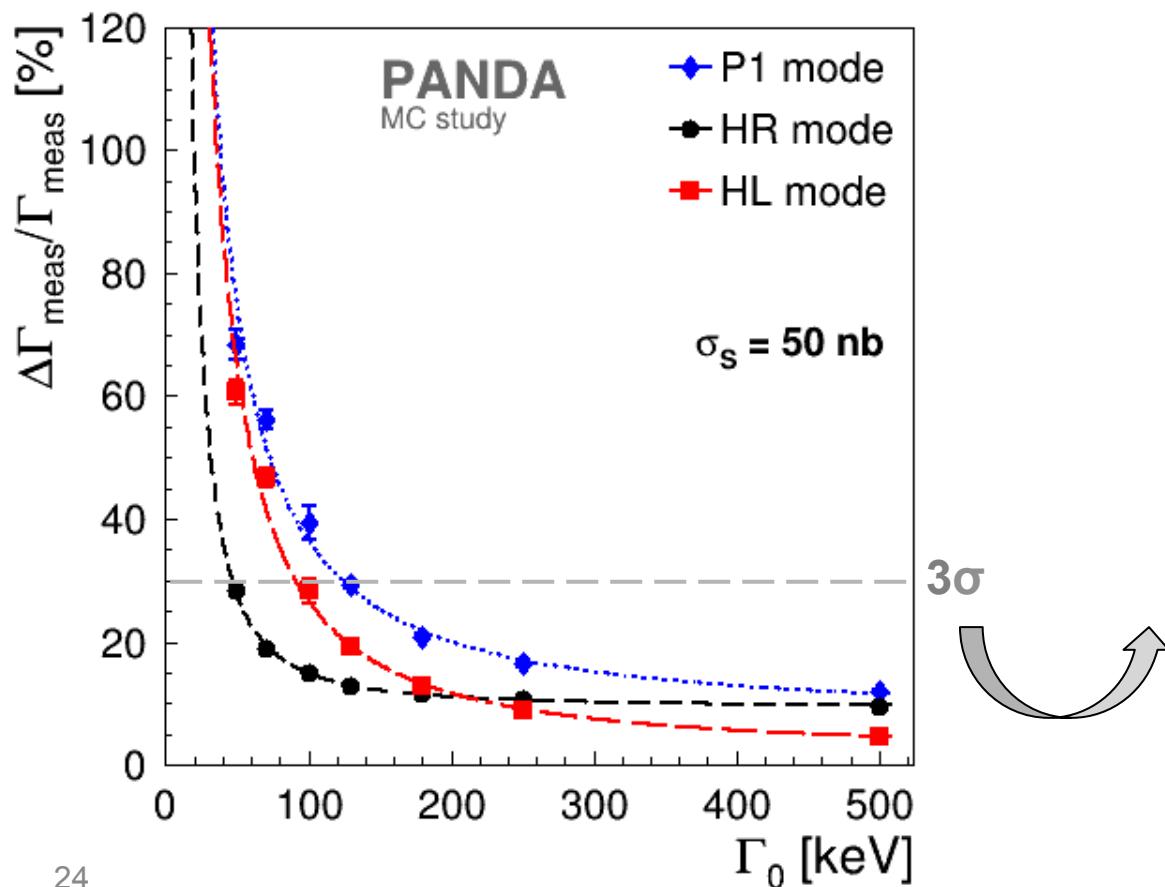


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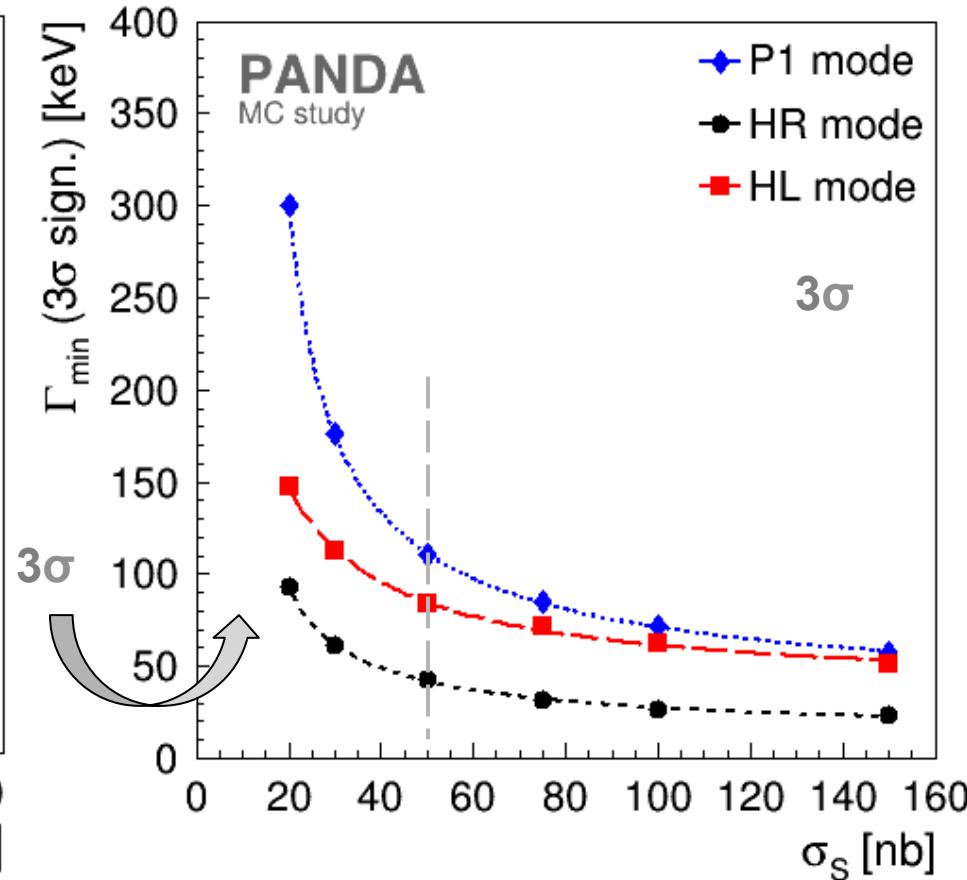
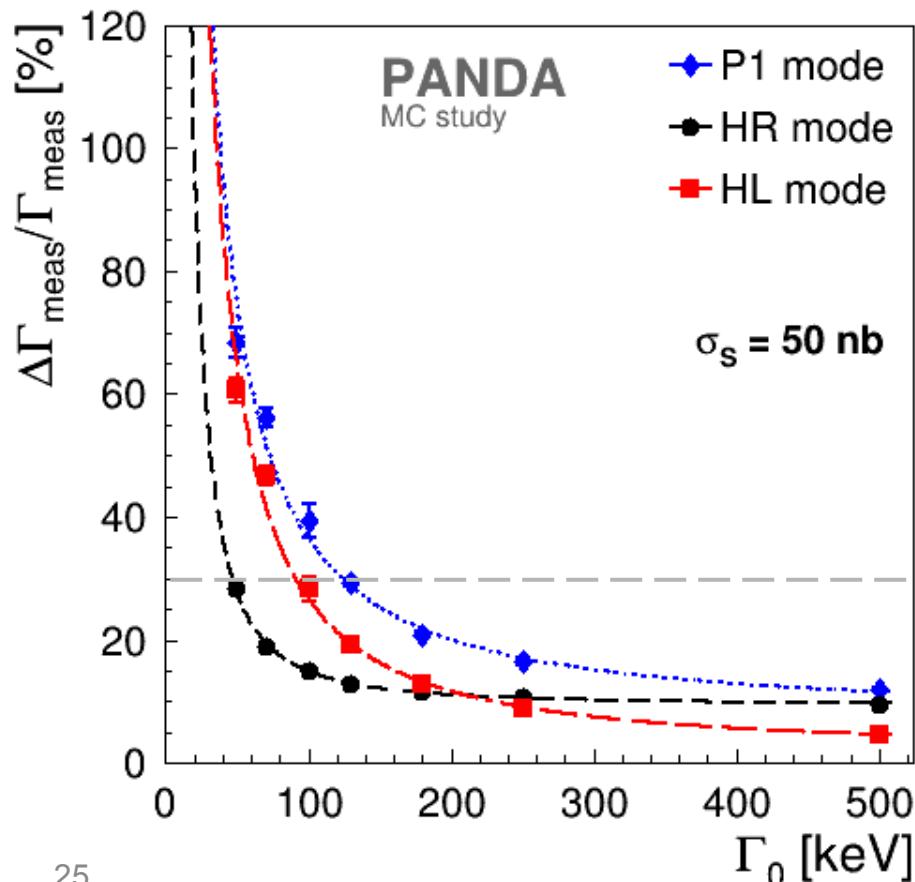


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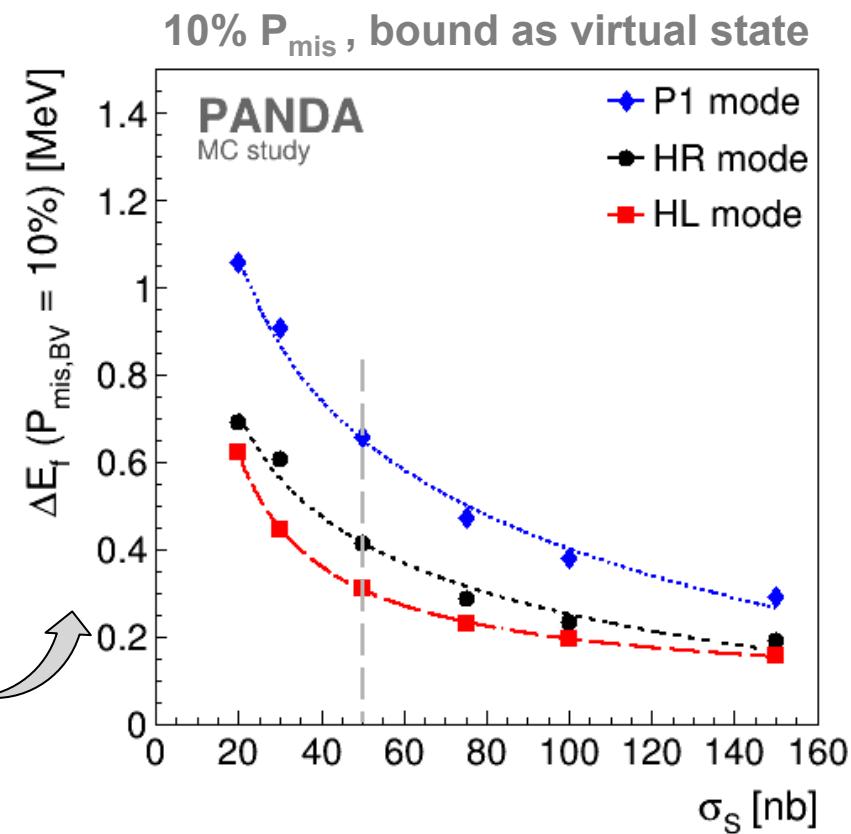
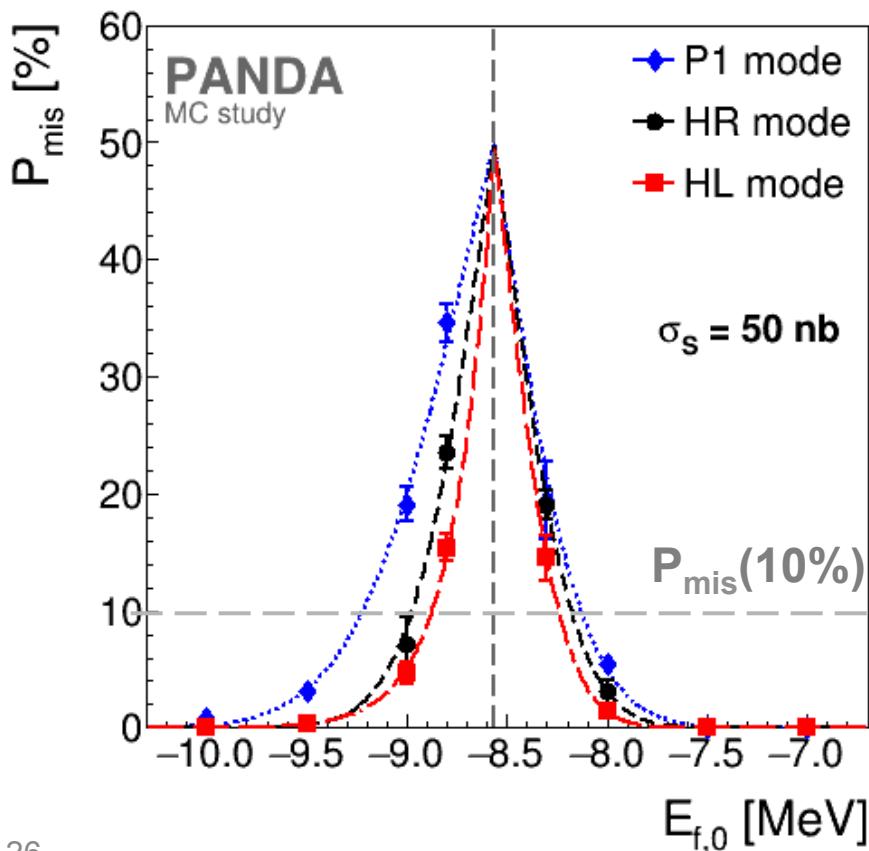


Distinction of Lineshapes (40 x 2d)

- Extract standard deviation from toy MC fits
- How well can **virtual** vs **bound** state be distinguished? → *integrate mismatch region*:

Sensitivity

$$P_{\text{mis}} = N_{\text{mis-id}}/N_{\text{MC}} \quad (\text{Molecule case})$$

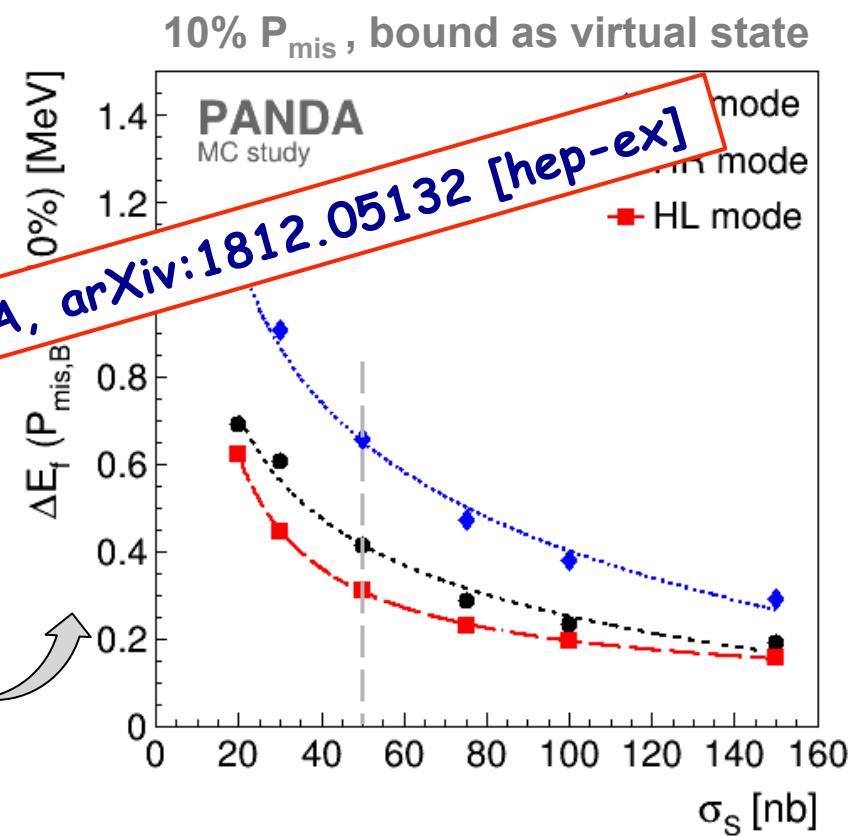
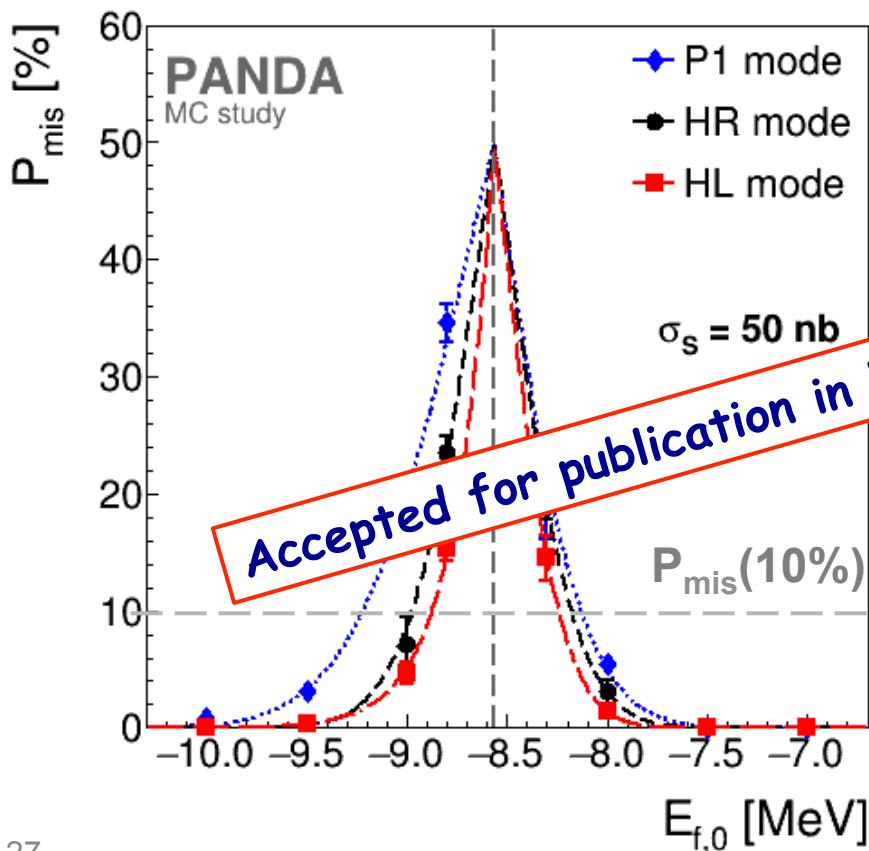


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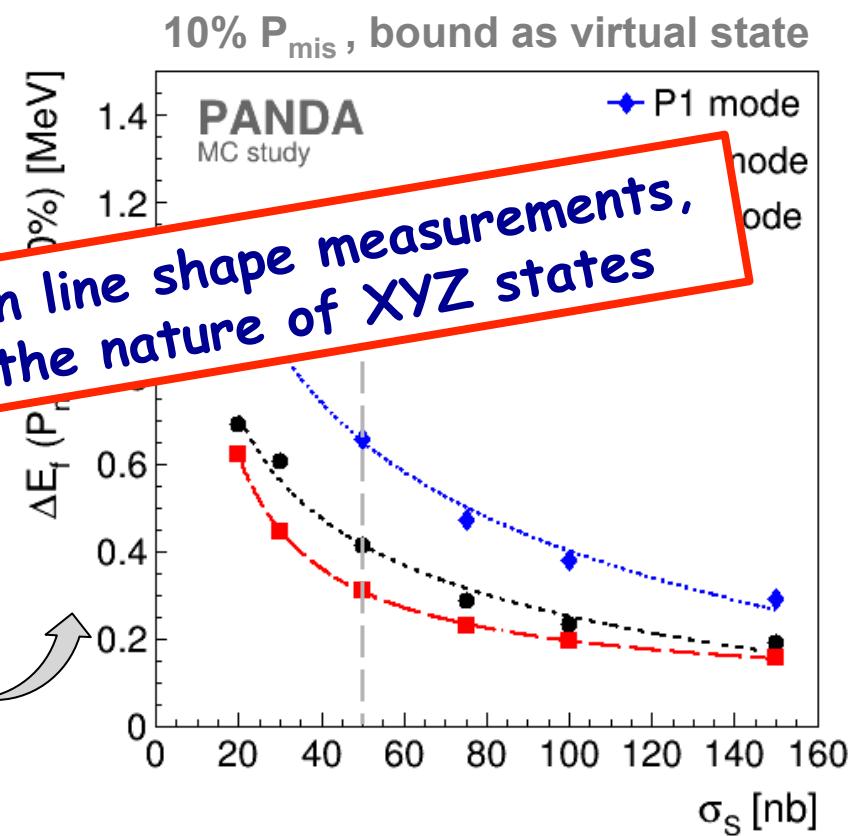
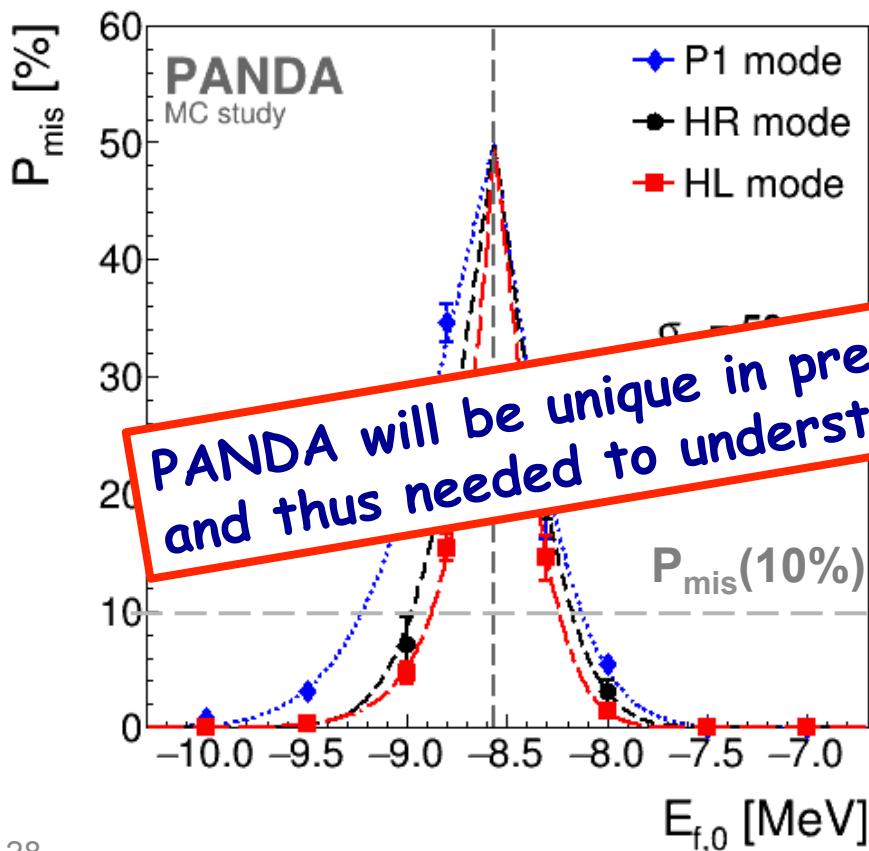


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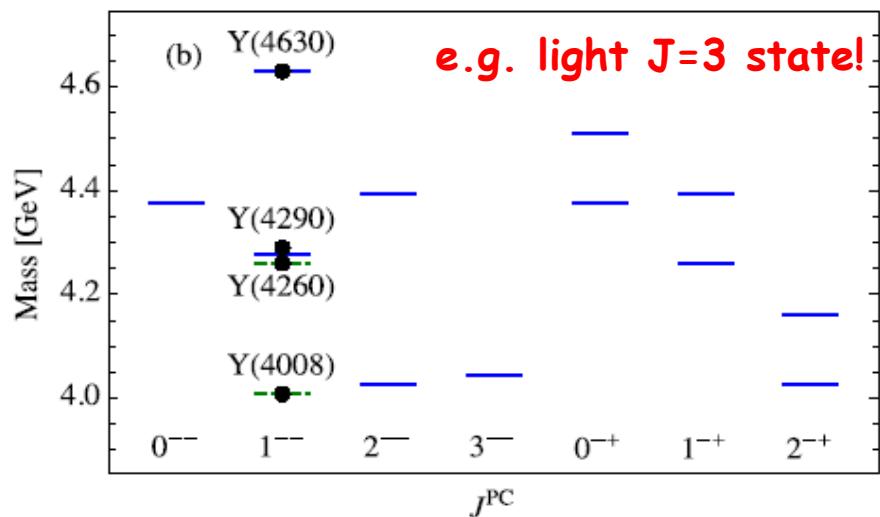
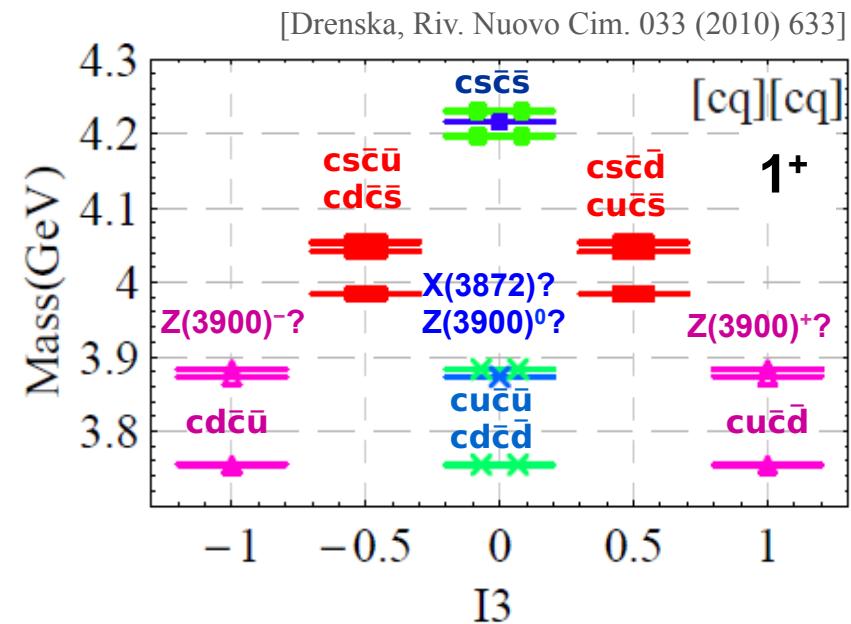
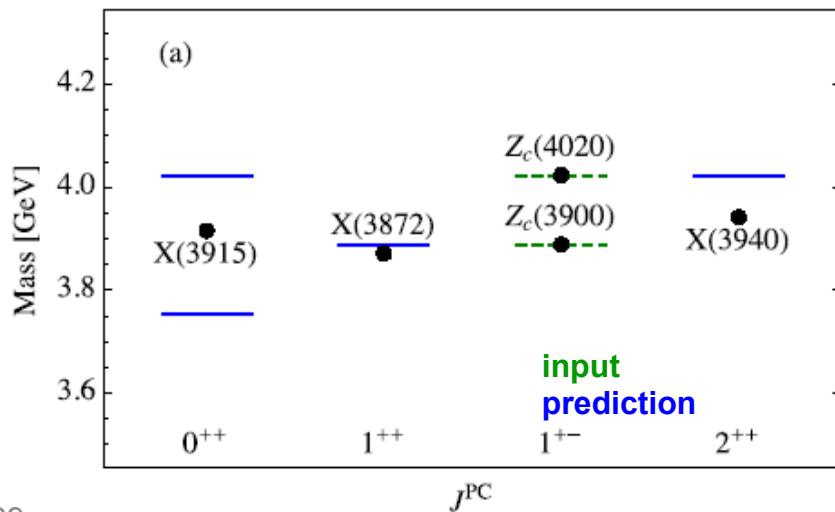
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Models and Multiplets for XYZ

- Need to measure **complete multiplets**
 \rightarrow to really understand XYZ nature
- e.g. di-quarkonium $[cq][\bar{c}\bar{q}]$ models provide predictions
 - Look for stranged partners
 - Look for light high spin states

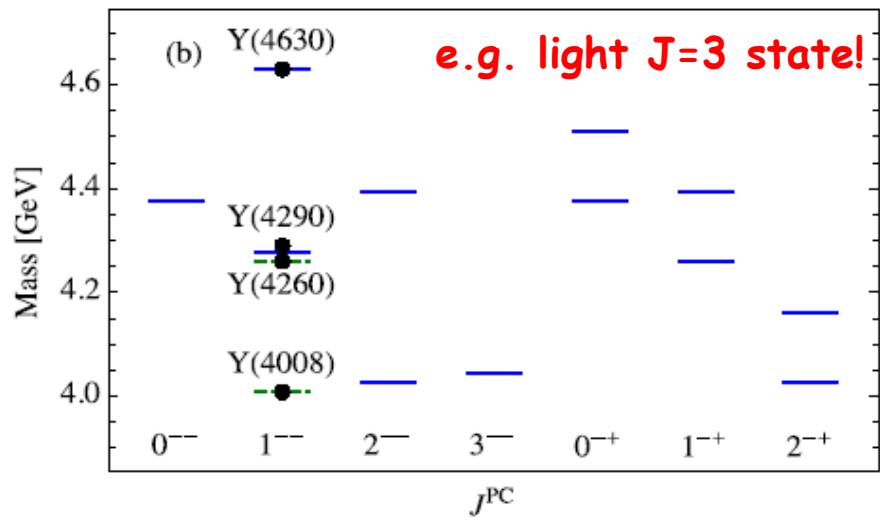
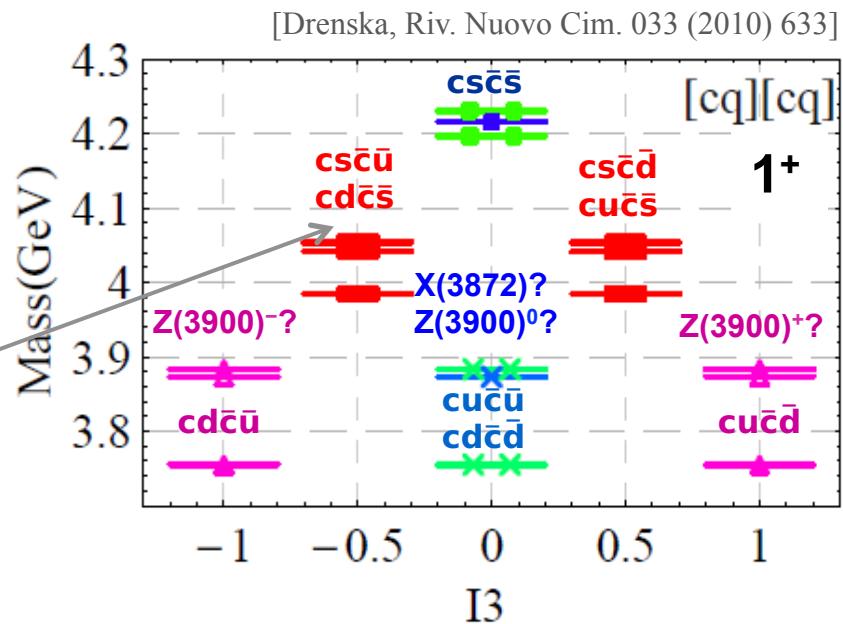
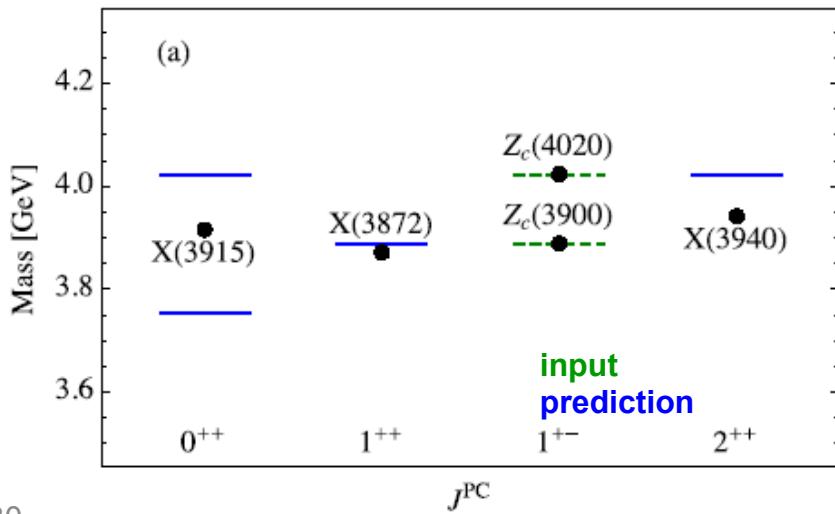
[Cleven et al., arXiv:1505.01771]



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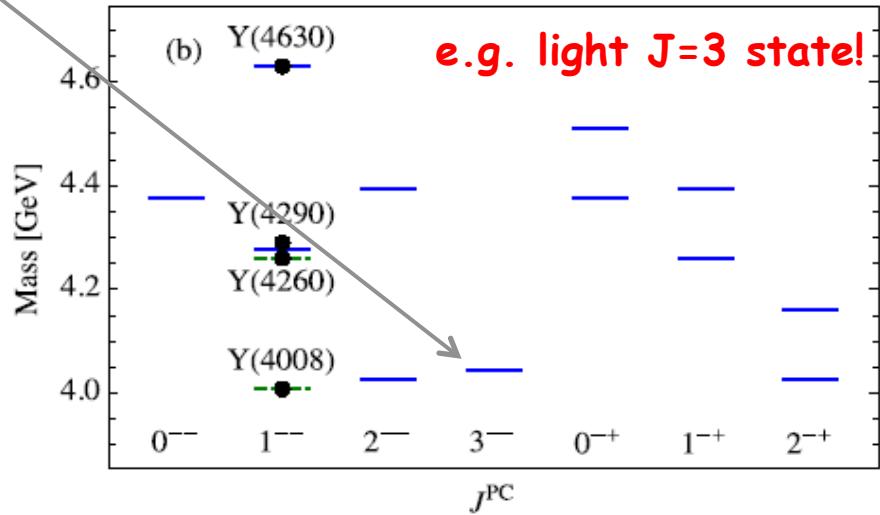
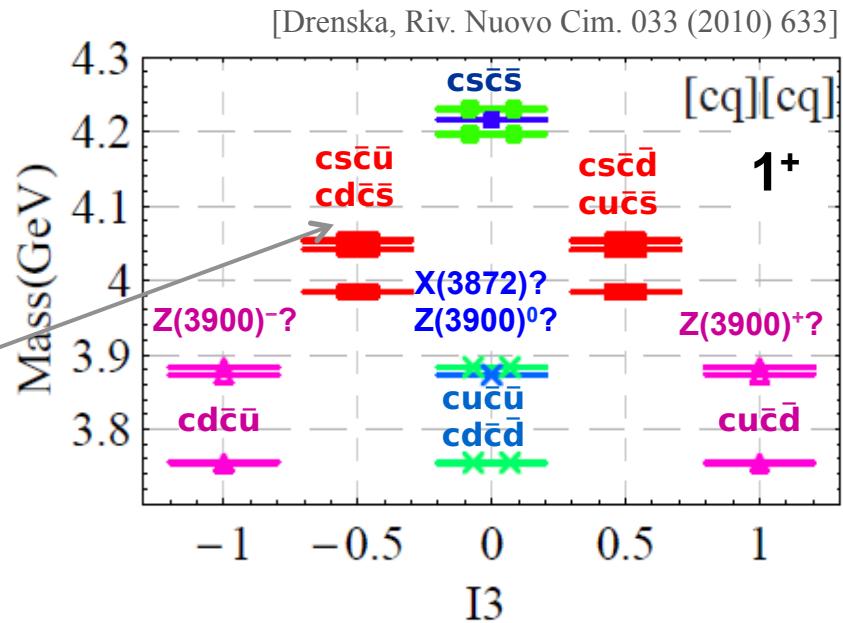
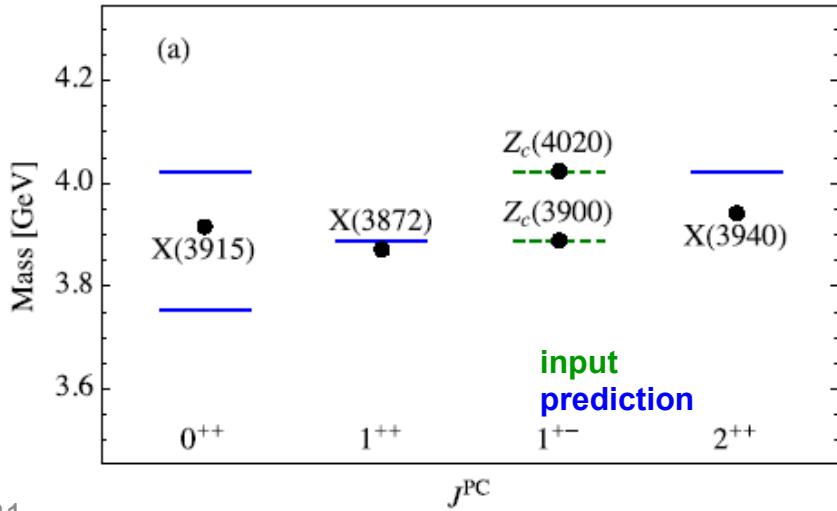
[Cleven et al., arXiv:1505.01771]



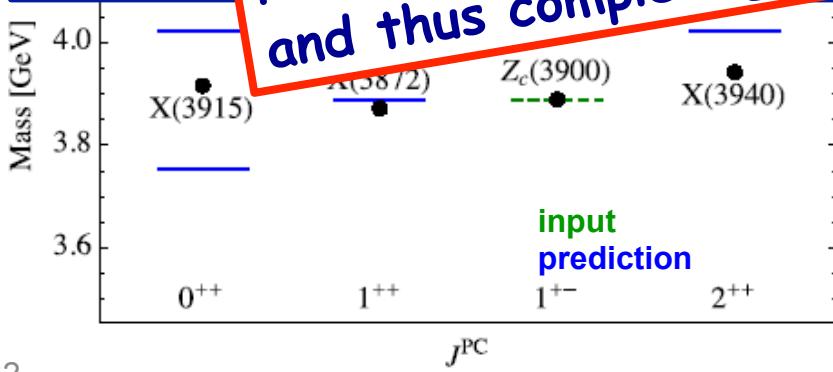
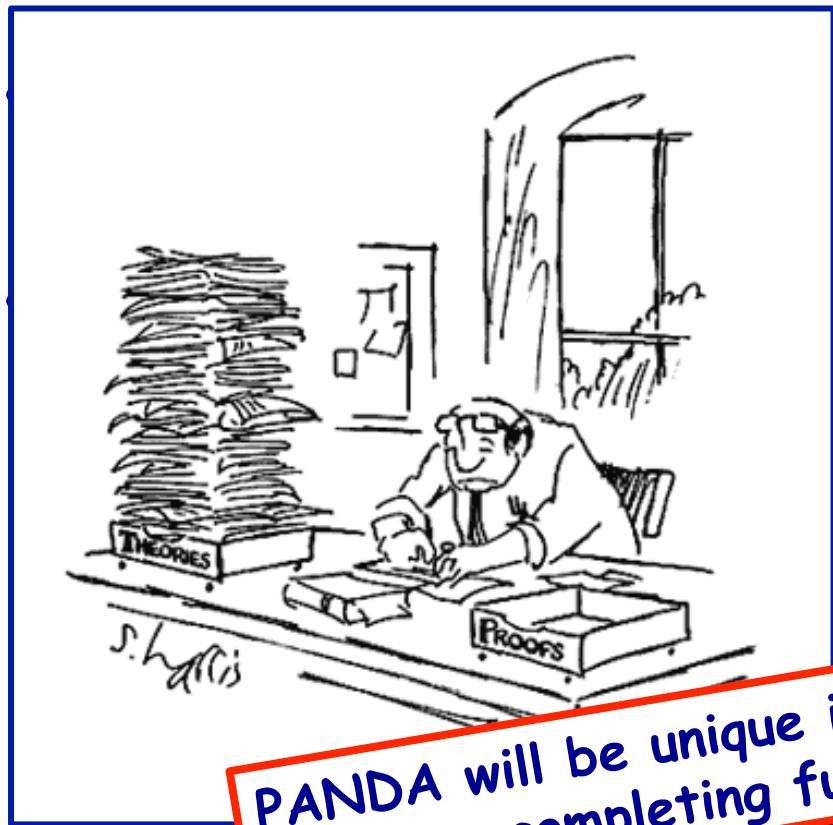
Models and Multiplets for XYZ

- Need to measure **complete multiplets**
 \rightarrow to really understand XYZ nature
- e.g. di-quarkonium $[cq][\bar{c}\bar{q}]$ models provide predictions
 - Look for stranged partners
 - Look for light high spin states

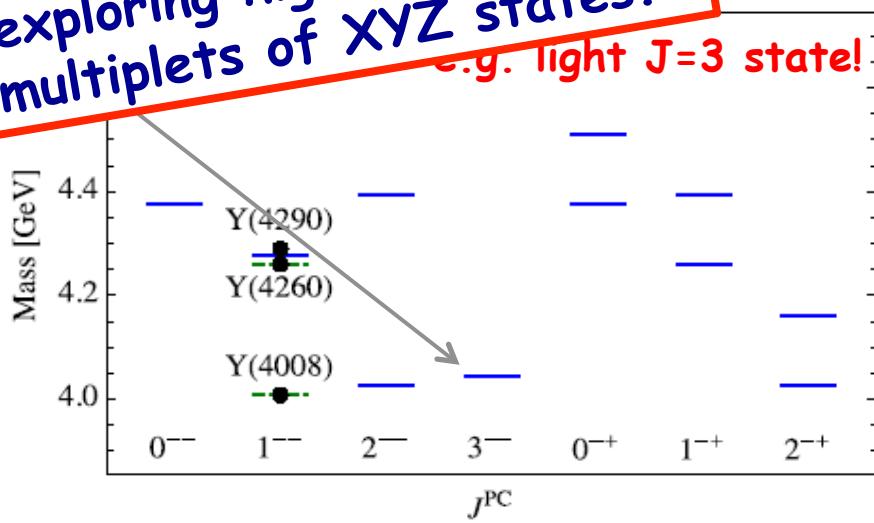
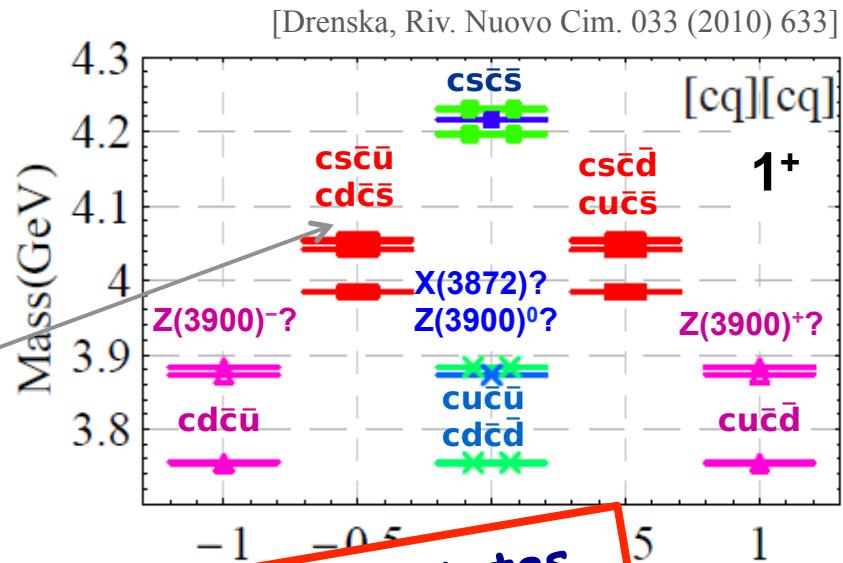
[Cleven et al., arXiv:1505.01771]



Models and Multiplets for XYZ



PANDA will be unique in exploring high spin states,
 and thus completing full multiplets of XYZ states.
 e.g. light $J=3$ state!



Summary & Conclusions

- Feasibility study for resonance energy scans at PANDA
 - Lineshape and width measurements for X(3872)
 - Achievable performance quantified
- Determined sensitivity for BW width measurement
 - Sensitivity $\Gamma/\Delta\Gamma > 5$ at $\Gamma \gtrsim 50 \dots 120$ keV
 - HR mode performs better for smaller widths
- Determined sensitivity for molecular line-shape measurement
 - Possible to distinguish bound/virtual state
 - $P_{HR,HL} > 90\%$ for $|E_f - E_{f,th}| \gtrsim 700$ keV
 - Sub-MeV resolution on $|E_f - E_{f,th}|$ already for Phase-1 (P1)
 - HL mode performs better over investigated

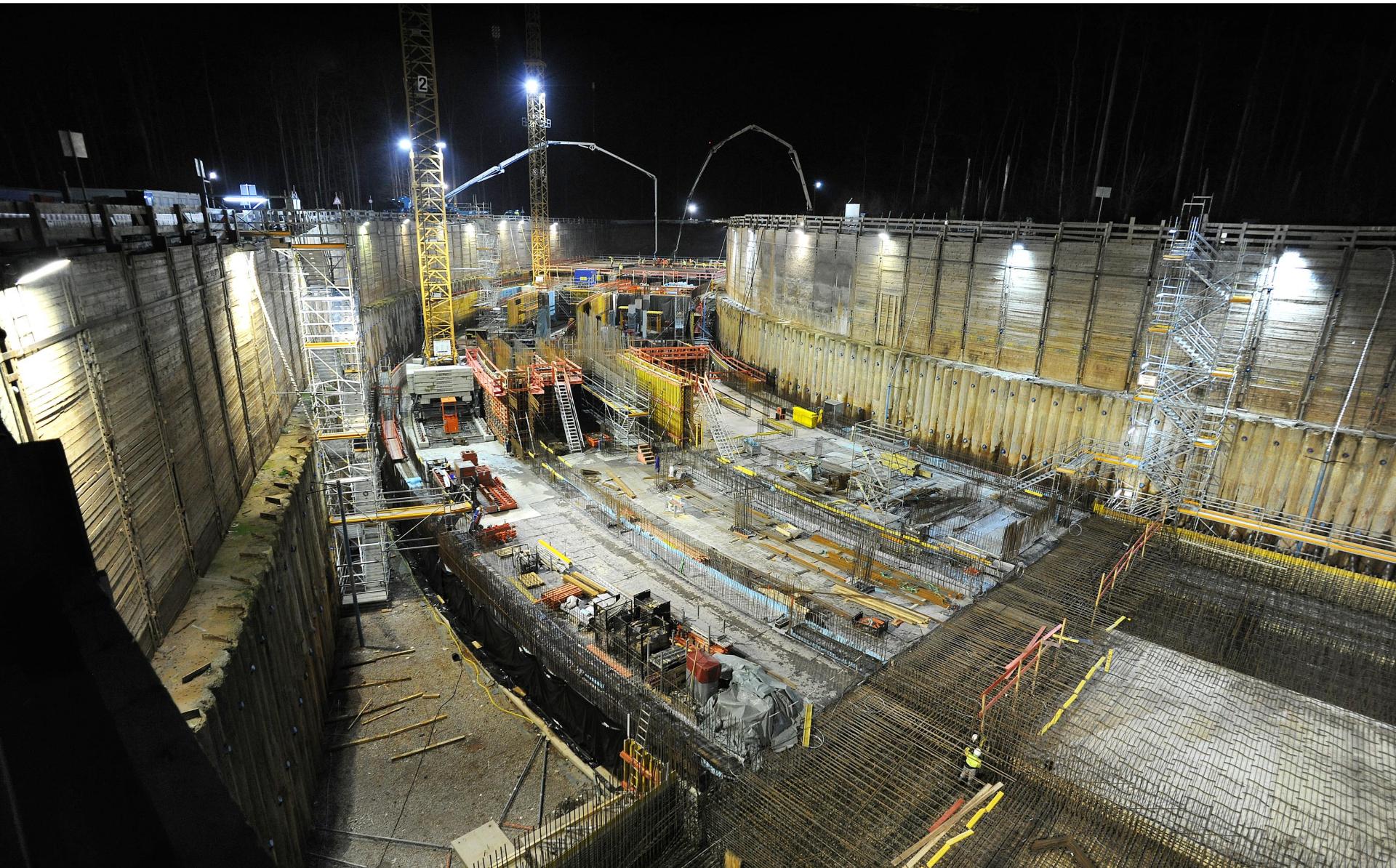
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- Meanwhile published: Eur. Phys. J. A 55 (2019) 42*

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 - HL mode performs better over investigated range
- Precision spectroscopy to understand exotic XYZ states
 - Precise knowledge of decay width and line shape essential
 - Complete the exotic multiplets
 - **PANDA unique:**
High statistics + precision resonance scans + high spin states

FAIR construction site at night -- Feb 2019



FAIR construction site at night -- Feb 2019

Thank you for
your attention !



PANDA will be the facility
to study QCD -- hadron
structure and spectroscopy

Thank you for your attention!

The PANDA collaboration:
~ 500 Members, 72 Institutes, 20 Countries



**Austria, Australia, Belarus, China, France, Germany, India, Italy, Poland,
Romania, Russia, Spain, Sweden, Switzerland, Thailand, Netherlands,
USA, UK, ... (to be updated/completed)**

Collaboration



UniVPM Anconca
U Basel
IHEP Beijing
U Bochum
U Bonn
U Brescia
IFIN-HH Bucharest
AGH UST Cracow
IFJ PAN Cracow
JU Cracow
U Cracow
FAIR Darmstadt
GSI Darmstadt
JINR Dubna
U Edinburgh
U Erlangen
NWU Evanston

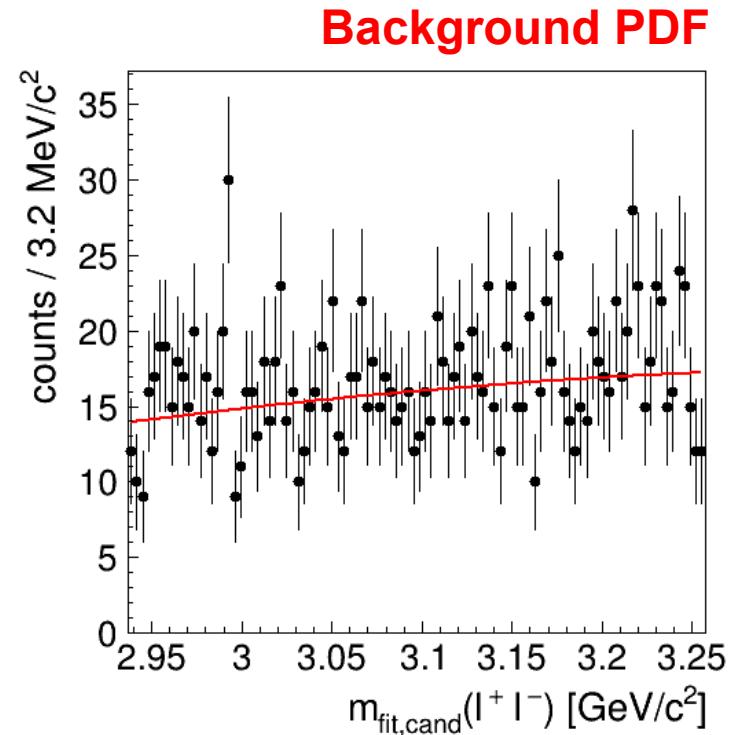
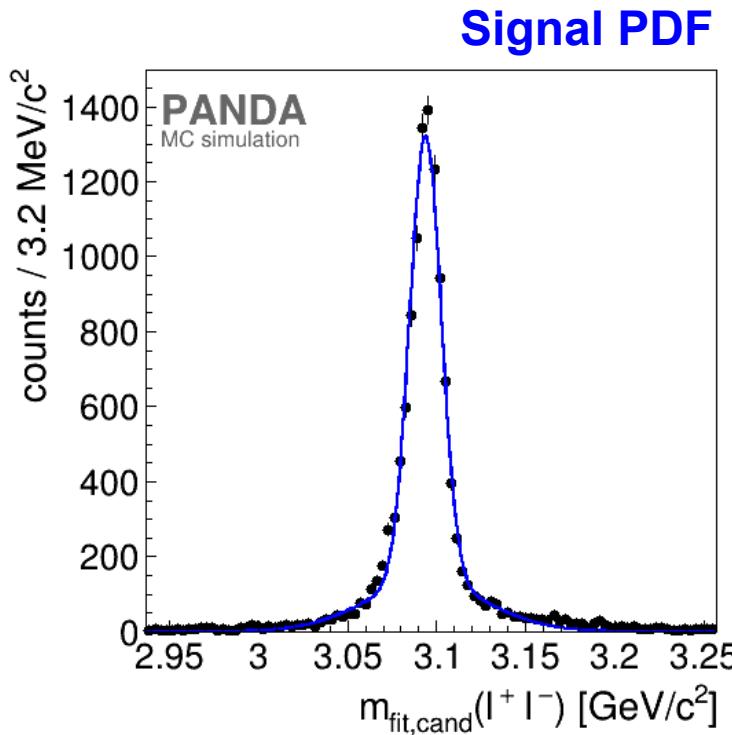
U & INFN Ferrara
FIAS Frankfurt
U Frankfurt
LNF-INFN Frascati
U & INFN Genova
U Gießen
U Glasgow
BITS Pilani KKBGC, Goa
KVI Groningen
Sadar Patel U, Gujarat
Gauhati U, Guwahati
FH Iserlohn
FZ Jülich
IMP Lanzhou
INFN Legnaro
U Lund
HI Mainz

U Mainz
INP Minsk
ITEP Moscow
MPEI Moscow
BARC Mumbai
U Münster
BINP Novosibirsk
Novosibirsk State U
Novosibirsk STU
IPN Orsay
U & INFN Pavia
Charles U, Prague
Czech TU, Prague
IHEP Protvino
Irfu Saclay
U of Sidney

PNPI St. Petersburg
KTH Stockholm
U Stockholm
Suranaree University
SVNIT Surat-Gujarat
South Gujarat U,
Surat-Gujarat
FSU Tallahassee
U & INFN Torino
Politecnico di Torino
U & INFN Trieste
U Uppsala
U Valencia
SMI Vienna
U Visva-Bharati
SINS Warsaw

Signal/Background PDF for ML fits

- Softened selection for $\mu^+\mu^-$ (only to define reasonable PDF's)
 - Muon PID(μ^\pm) > 0.8
 - $m_{\text{fit}}(\mu^+\mu^-) + m_{\text{fit}}(\pi^+\pi^-) > 3.65 \text{ GeV}/c^2$
- Signal: Double-Gauss, Background: Parabola

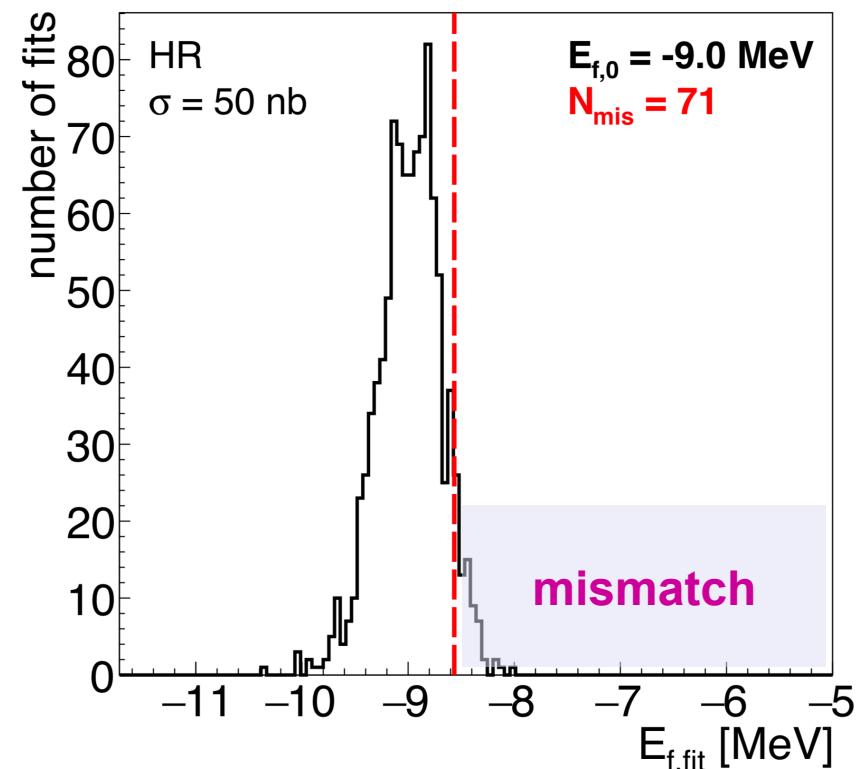
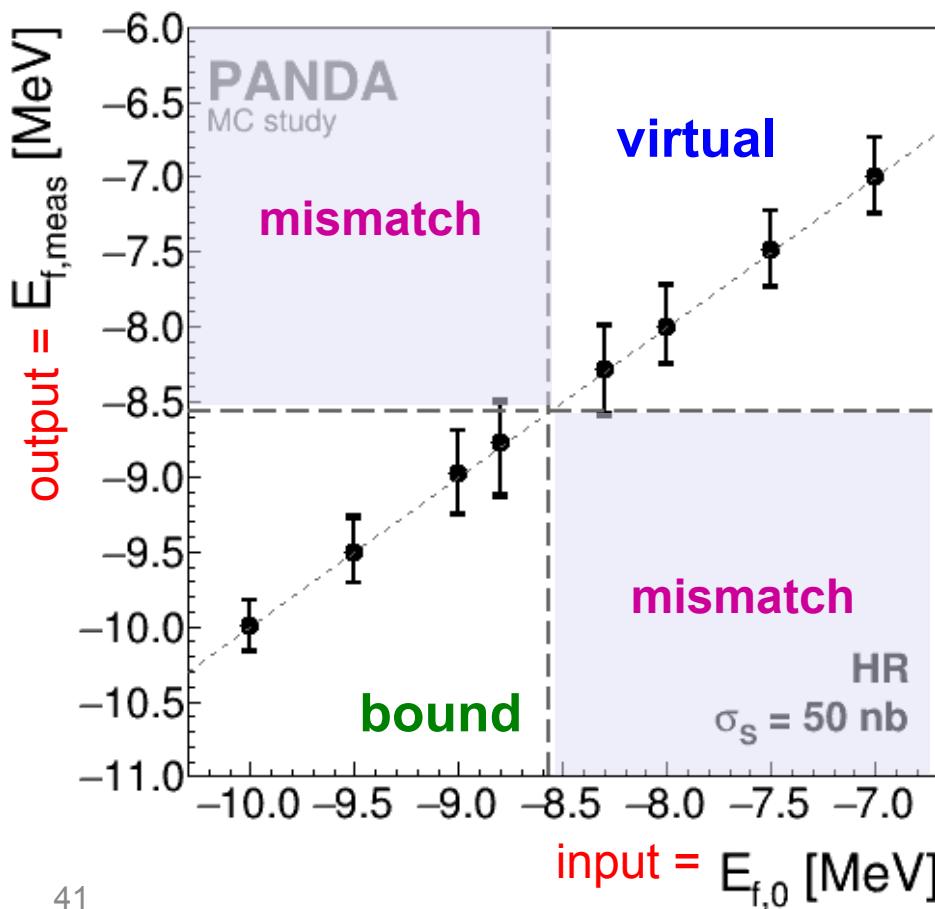


Distinction of Lineshapes (40 x 2d)

- Extract standard deviation from toy MC fits
- How well can **virtual** vs **bound** state be distinguished? → *integrate mismatch region:*

Sensitivity

$$P_{\text{mis}} = N_{\text{mis-id}}/N_{\text{MC}} \quad (\text{Molecule case})$$



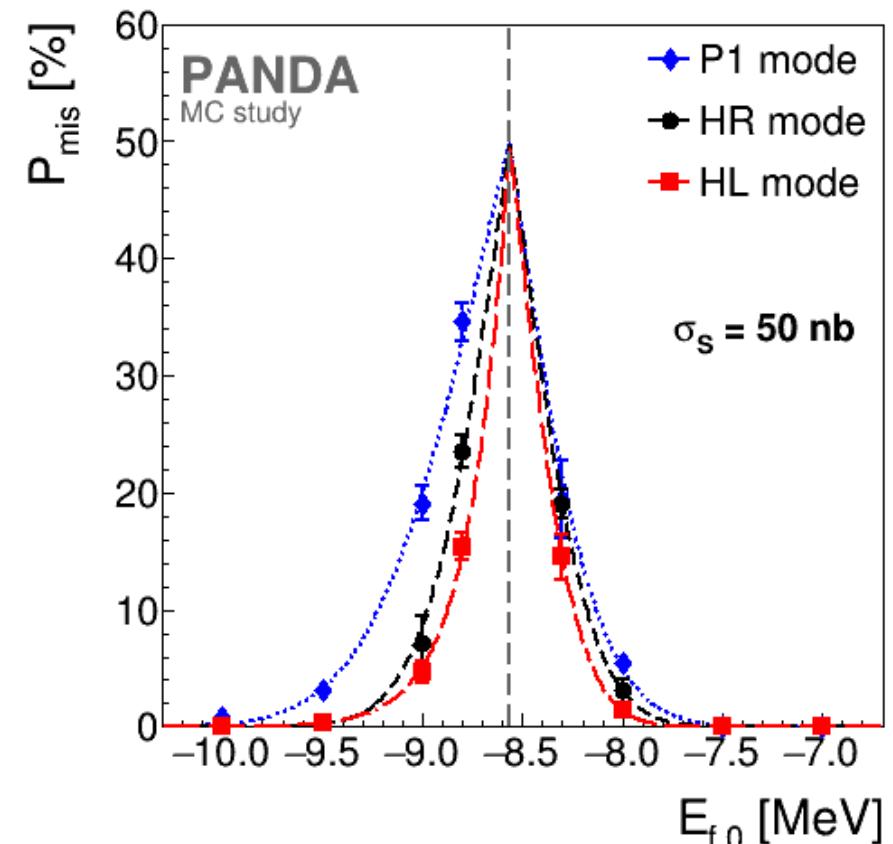
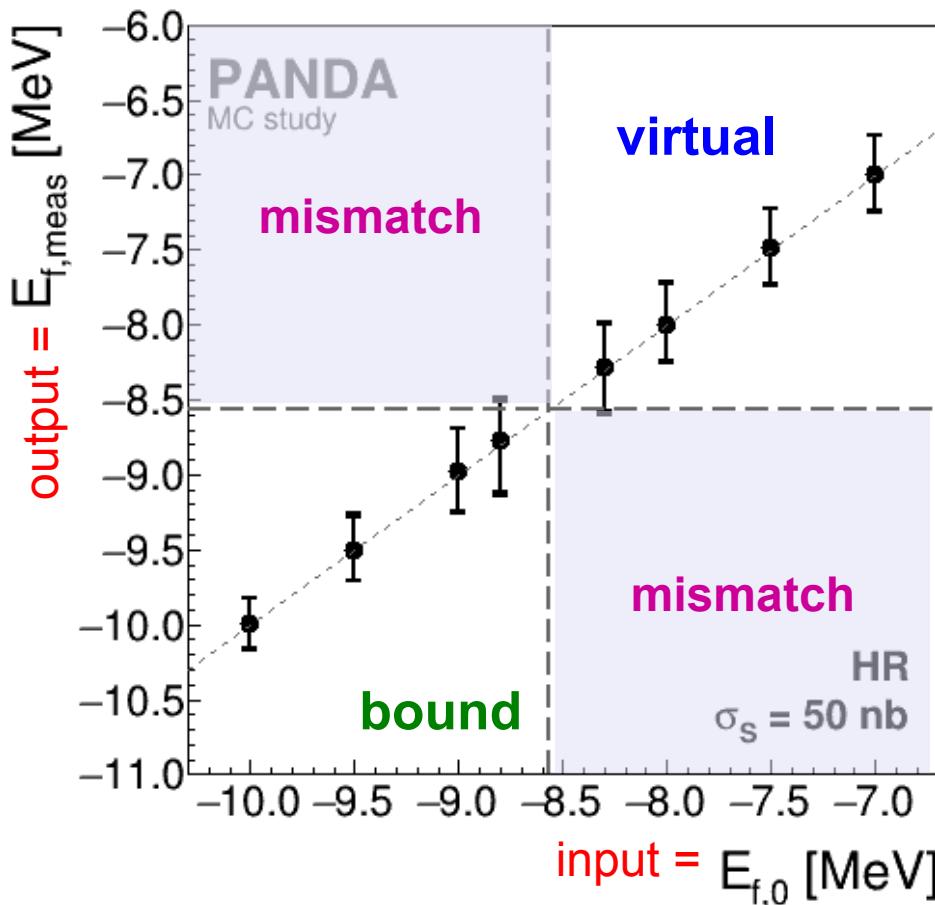
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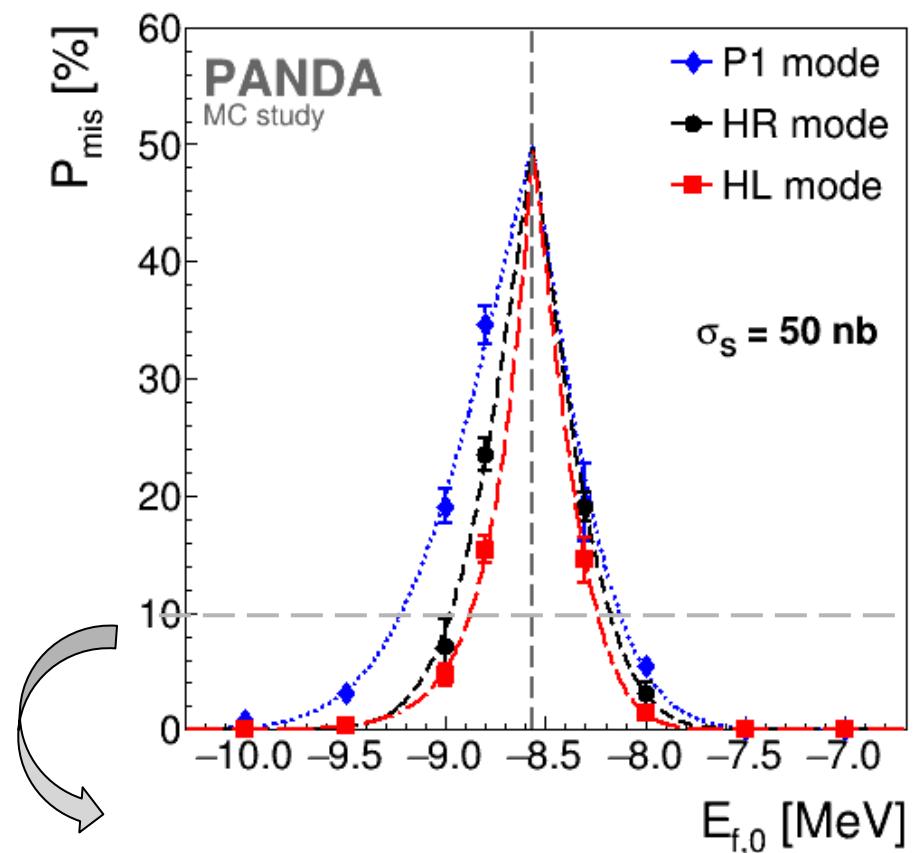
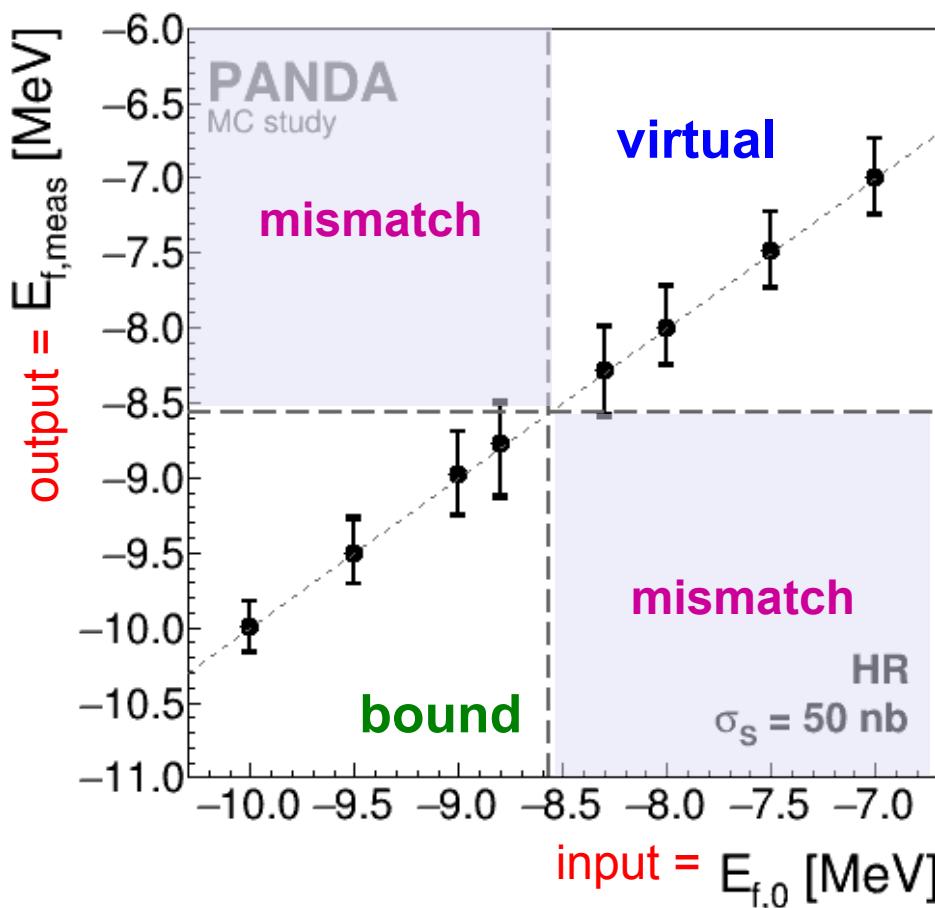


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