

Constraints on isotropic and anisotropic cosmic birefringence with POLARBEAR and future experiments

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2018 June 26



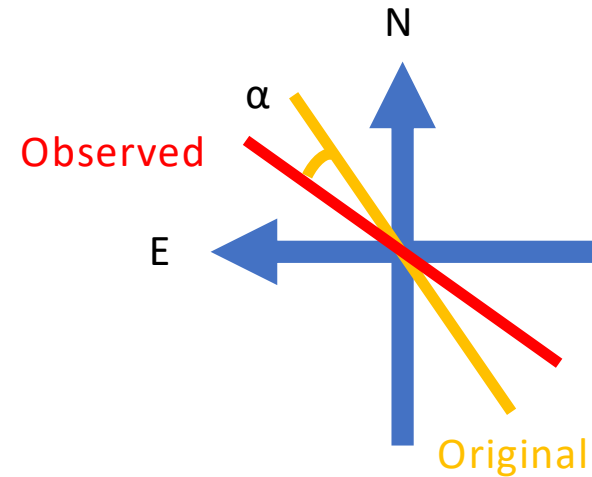
Outline

- General introduction to cosmic polarization rotation
- Isotropic rotation
- Anisotropic rotation
- Calibration methods and proposals
- Preliminary forecasts and final remarks

Cosmic polarization rotation (CPR)

- Photon's original polarization angle at the surface of last scattering gets rotated along a line of sight by some angle α
- CPR can occur in the Standard Model Extension (SME) with Lorentz-violating terms
- CPR can also occur due to Faraday rotation through magnetic fields (Galactic or primordial)

$$\begin{pmatrix} Q' \\ U' \end{pmatrix} = \begin{pmatrix} \cos(2\alpha) & -\sin(2\alpha) \\ \sin(2\alpha) & \cos(2\alpha) \end{pmatrix} \begin{pmatrix} Q \\ U \end{pmatrix}$$



General reference on SME and cosmic birefringence:
Kostelecky and Mewes, PRD - [0905.0031](#)

Isotropic rotation

- Every line of sight rotates by the same angle, related to one of the SME free parameters.
- Very easy to write down effect on the angular power spectrum
- Unfortunately, it is completely degenerate with a mis-calibration of the receiver's polarization axes.

$$\alpha = \frac{k_{(V)00}^{(3)}}{\sqrt{4\pi}} \int_0^z \frac{dz'}{(1+z')H_{z'}}$$

$$\langle C_\ell^{TT,obs} \rangle = C_\ell^{TT} + N_\ell^{TT}$$

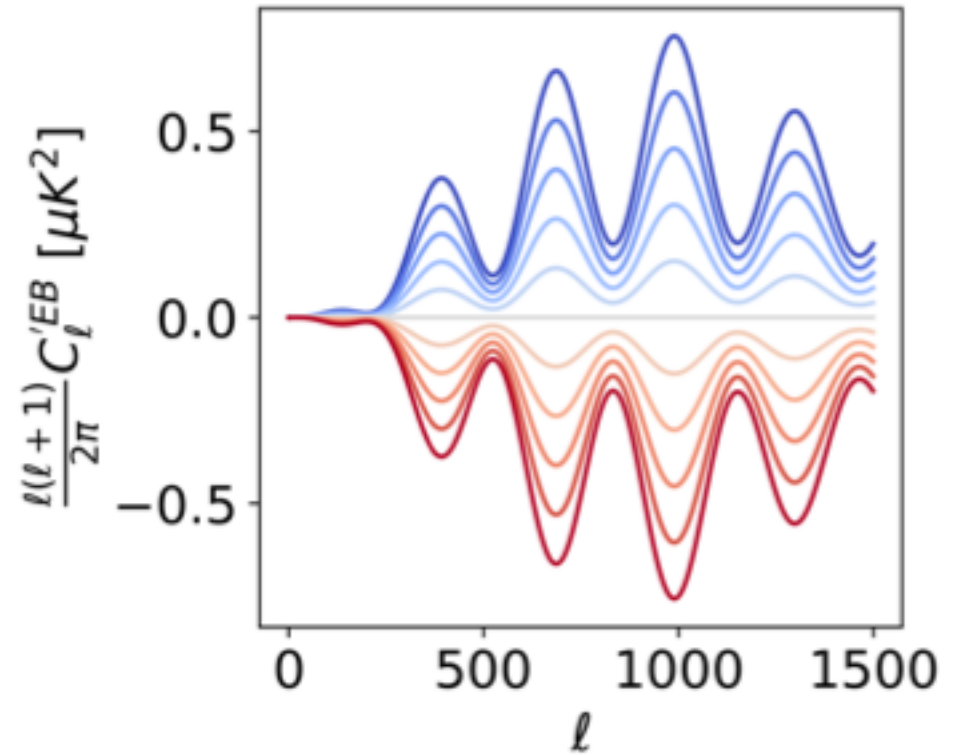
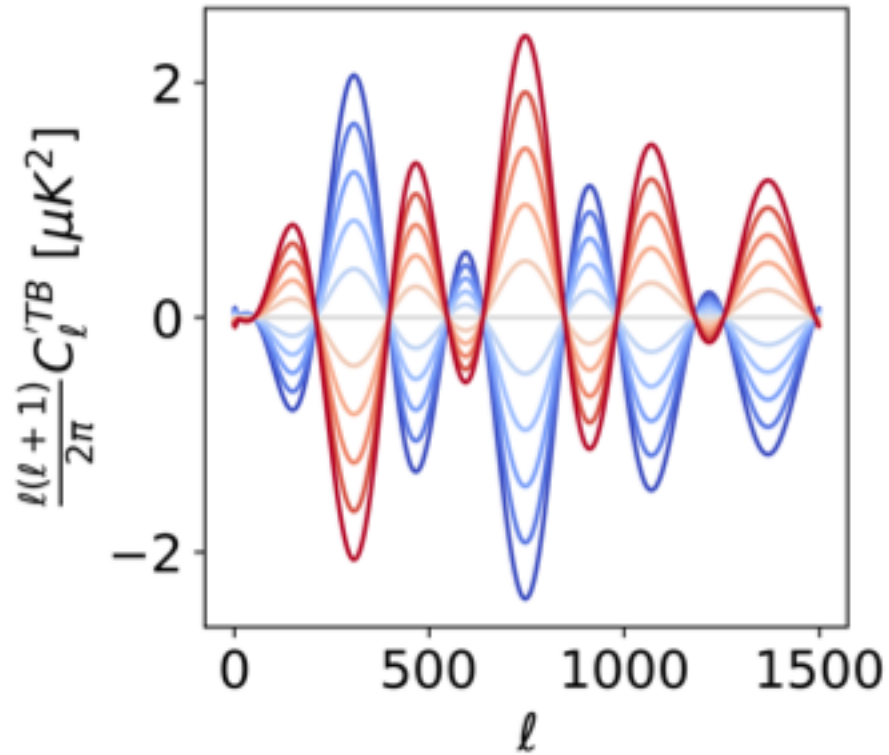
$$\langle C_\ell^{TE,obs} \rangle = C_\ell^{TE} \cos(2\alpha)$$

$$\langle C_\ell^{TB,obs} \rangle = -C_\ell^{TE} \sin(2\alpha)$$

$$\langle C_\ell^{EE,obs} \rangle = C_\ell^{EE} \cos^2(2\alpha) + C_\ell^{BB} \sin^2(2\alpha) + N_\ell^{PP}$$

$$\langle C_\ell^{BB,obs} \rangle = C_\ell^{BB} \cos^2(2\alpha) + C_\ell^{EE} \sin^2(2\alpha) + N_\ell^{PP}$$

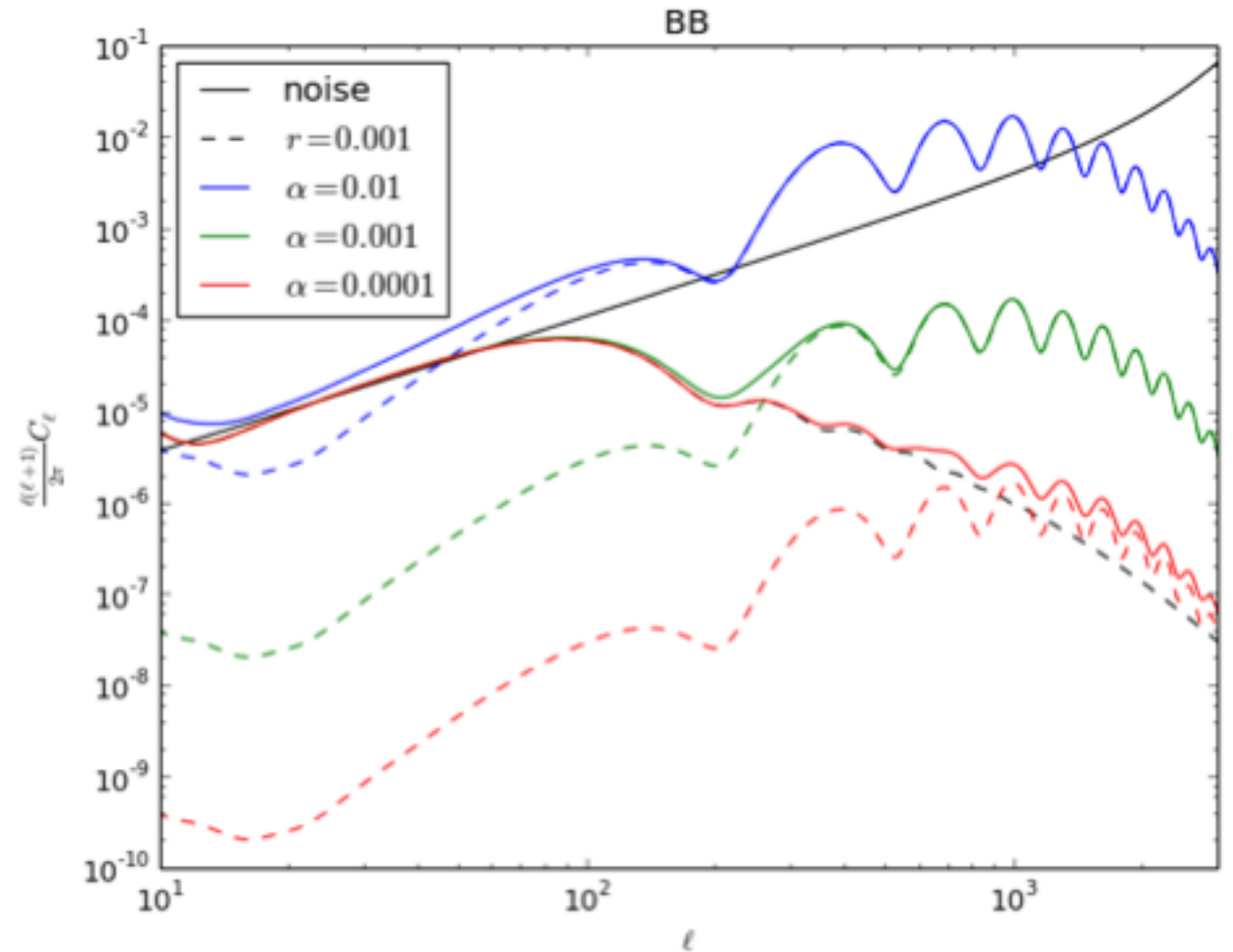
$$\langle C_\ell^{EB,obs} \rangle = -\frac{1}{2} (C_\ell^{EE} - C_\ell^{BB}) \sin(4\alpha)$$



Effect of -2.5° (darkest blue) to $+2.5^\circ$ polarization rotation in 0.5° steps

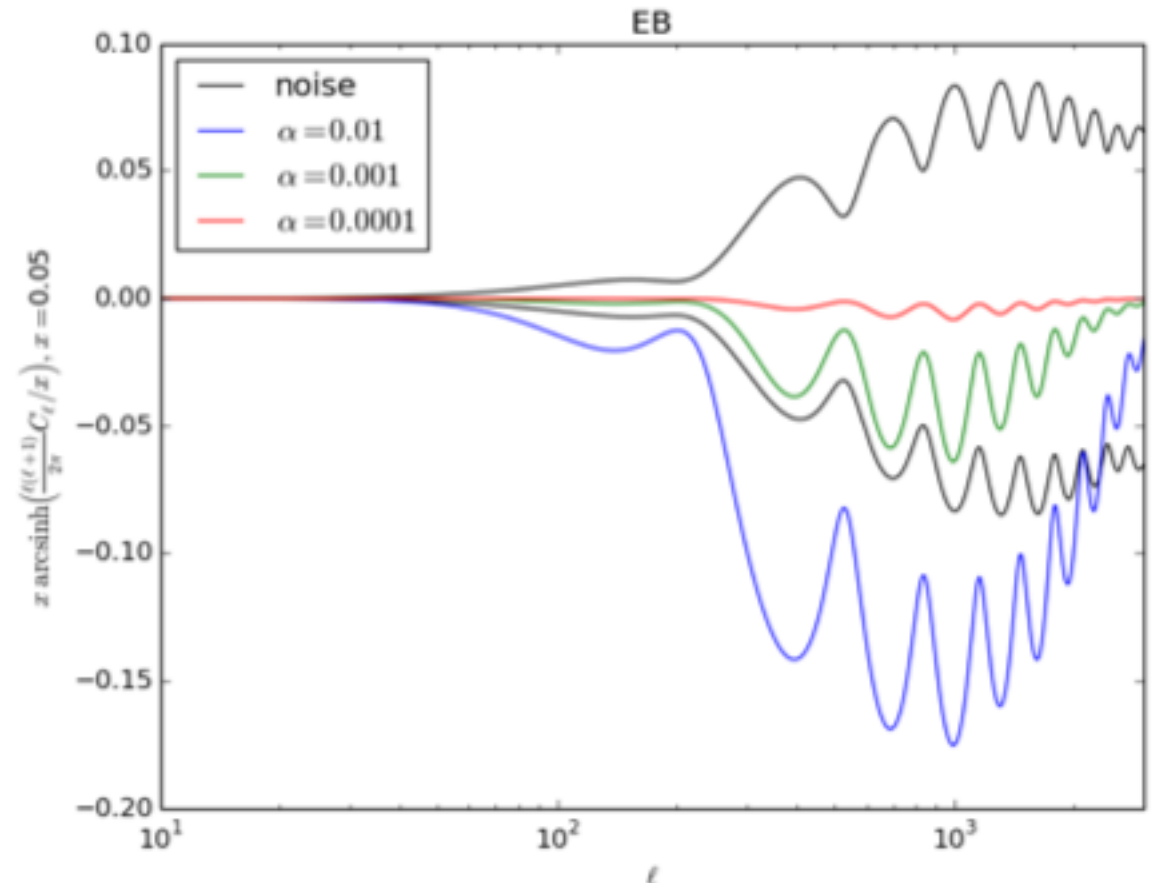
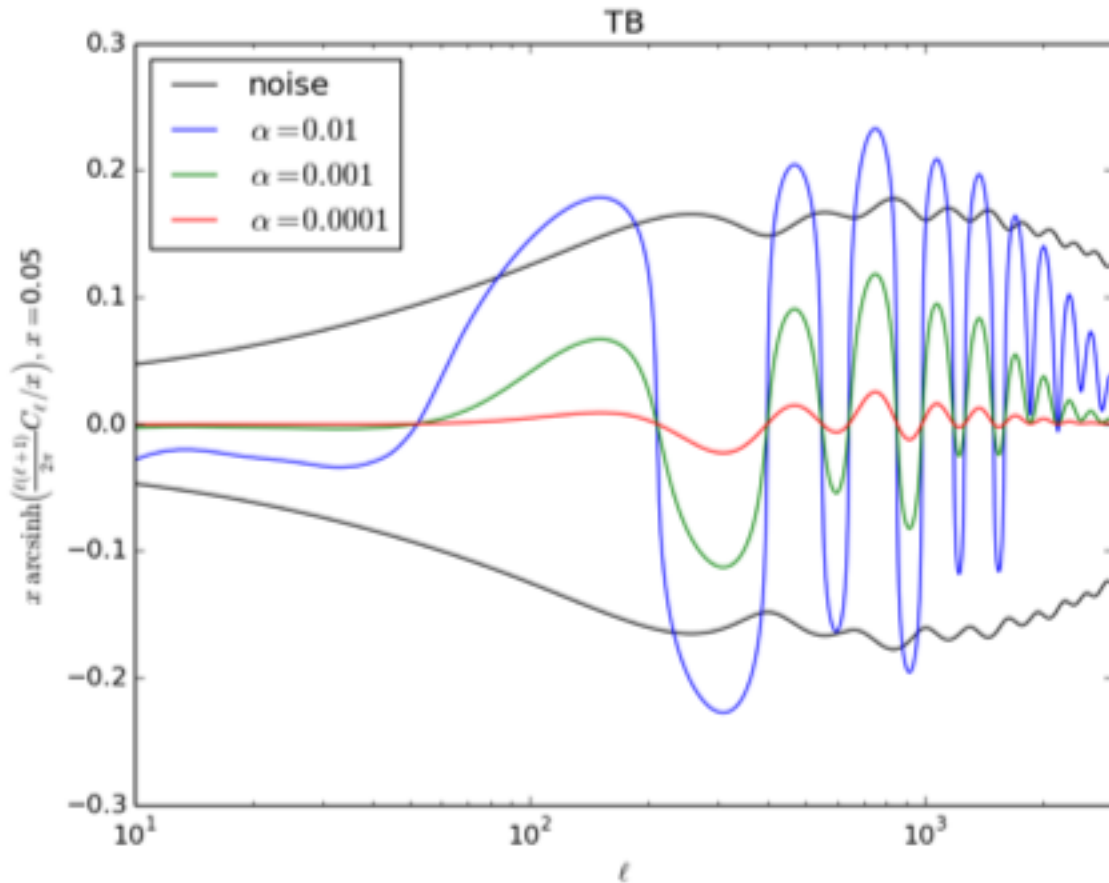
Plots by M. Navaroli

Assume a generic, idealized, future experiment with FWHM 2 arcmin beams and a noise level scaled to match the delensed BB spectrum of $r=0.001$ at $l \sim 80$.



Plot by D. Leon

A rotation of $\alpha=0.01$ radians (34 arcmin) would be detected in TB and EB, but this is the limit of calibration systematics of current experiments.



Note: The unusual $\sinh(x)$ scale of the y-axis in these plots provide a kind of signed logarithm that crosses zero linearly.

Plots by D. Leon

D-estimators

- It is possible to define a pair of estimators which should be zero (up to noise) for ANY input cosmology.
- Unbiased even with lensing
- Since the D-estimators are linear in the C_l , their covariance can also be expressed in terms of covariances of C_l , i.e. no need to run additional simulations.

$$D_\ell^{TB} = C_\ell^{TB,obs} \cos(2\alpha) + C_\ell^{TE,obs} \sin(2\alpha)$$

$$D_\ell^{EB} = C_\ell^{EB,obs} \cos(4\alpha) + \frac{1}{2} \left(C_\ell^{EE,obs} - C_\ell^{BB,obs} \right) \sin(4\alpha)$$

References:

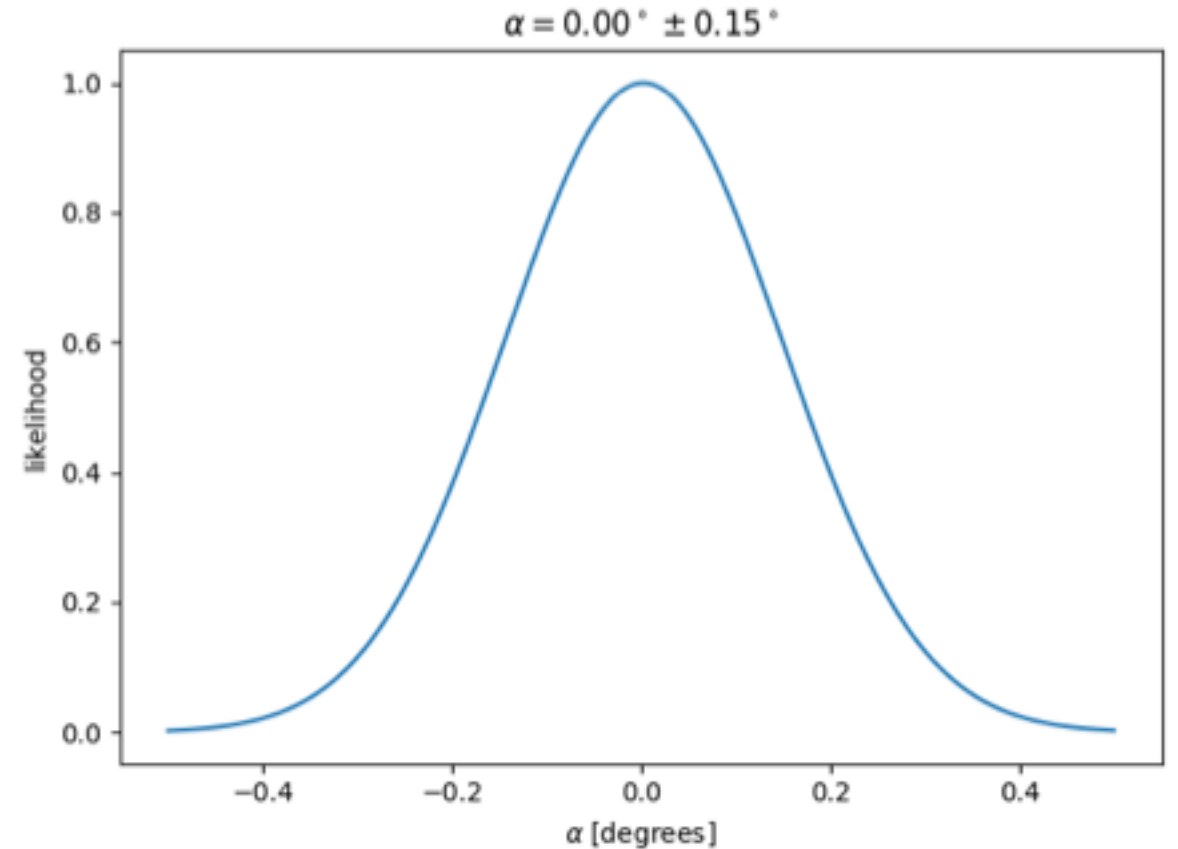
Zhao et al., JCAP - [1504.04507](#)

Gruppuso et al., JCAP - [1604.05202](#)

Molinari et al., Physics of the Dark Universe - [1605.01667](#)

POLARBEAR self-calibration

- POLARBEAR rotates the apparent rotation until the χ^2 is minimized.
- This means that the experiment is insensitive to isotropic rotation, but there is no risk of mis-calibration.



Plot by D. Leon

$$\chi^2 = \begin{pmatrix} D_\ell^{TB} & D_\ell^{EB} \end{pmatrix} \begin{pmatrix} \text{cov}(D_\ell^{TB}, D_{\ell'}^{TB}) & \text{cov}(D_\ell^{TB}, D_{\ell'}^{EB}) \\ \text{cov}(D_\ell^{EB}, D_{\ell'}^{TB}) & \text{cov}(D_\ell^{EB}, D_{\ell'}^{EB}) \end{pmatrix}^{-1} \begin{pmatrix} D_{\ell'}^{TB} \\ D_{\ell'}^{EB} \end{pmatrix}$$

Anisotropic rotation

- Rotation angle varies along different lines of sight.
- Associated with axion-like pseudoscalars or primordial magnetic fields
- Constraints come from both direct stress-energy contribution to C_l and from reconstructed angle (similar to lensing).

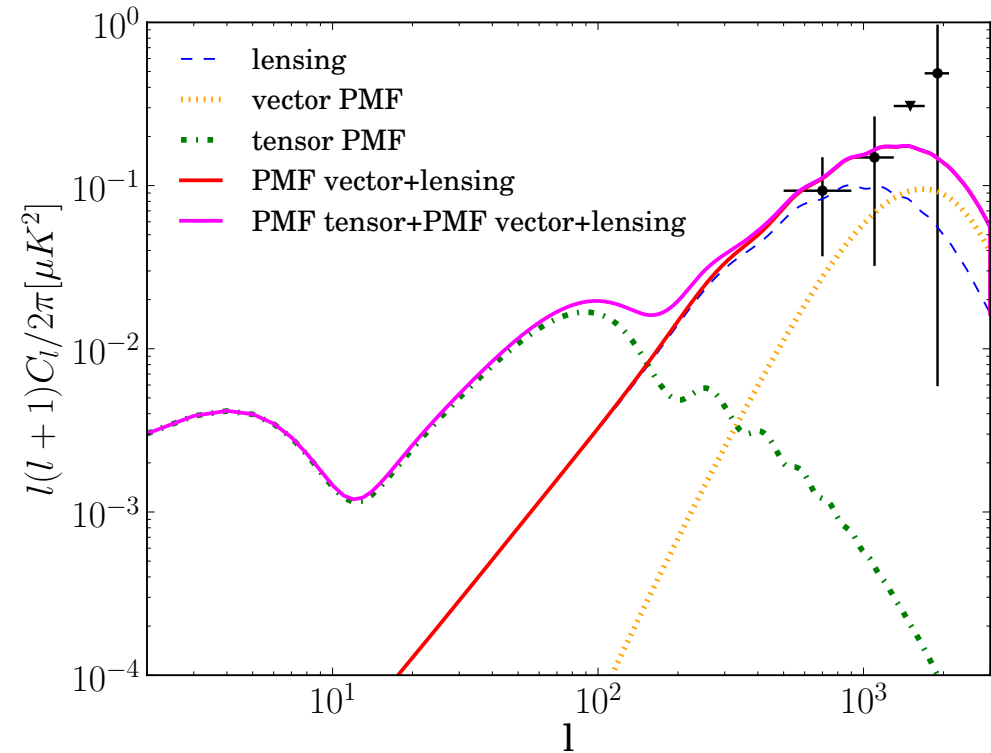
$$\mathcal{L} = \frac{\phi}{2M} F_{\mu\nu} \tilde{F}^{\mu\nu} \quad \alpha = \frac{1}{M} \int \dot{\phi} d\eta$$

$$\alpha(\hat{\mathbf{n}}) = \frac{3c^2}{16\pi^2 e} \nu^{-2} \int \dot{\tau} \mathbf{B} \cdot d\mathbf{l}$$

$$\alpha_{EB}(\mathbf{L}) = A_{EB}(L) \int E(l) B(l') \frac{2\tilde{C}_l^{EE} \cos 2\phi_{ll'}}{C_l^{EE} C_{l'}^{BB}} \frac{d^2 l}{(2\pi)^2}$$

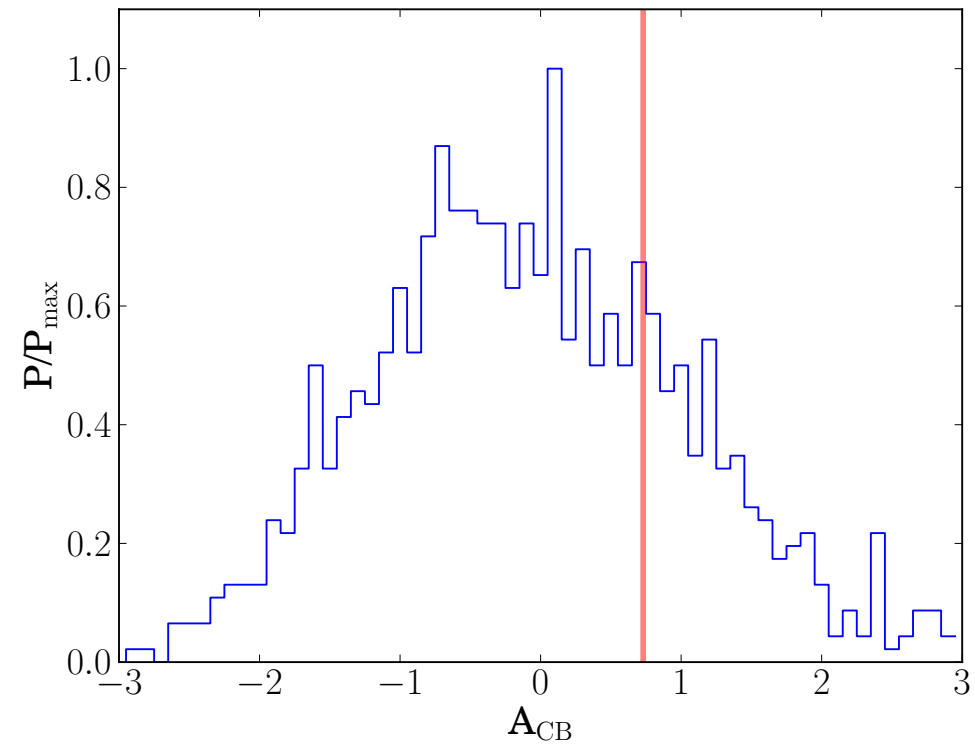
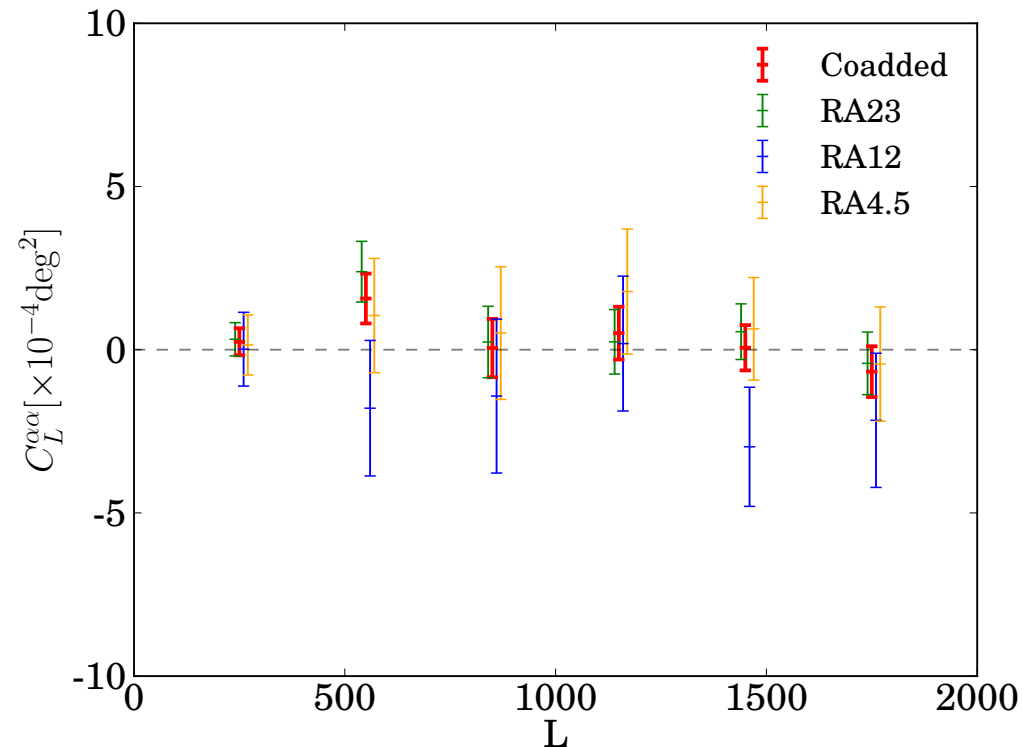
Constraints from BB

- The best constraints come from regular, on-diagonal measurement of BB.
- Tensor contribution from PMF would look just like r.
- Constraint corresponds to PMF of **B<3.9 nG** on 1 Mpc scales (or B<4.5 nG with different prior).
- Effect scales as $\sim B^4$, so this method is mostly exhausted.



POLARBEAR Collaboration (corresp. C. Feng) - [1509.02461](#)

Constraints from α reconstruction

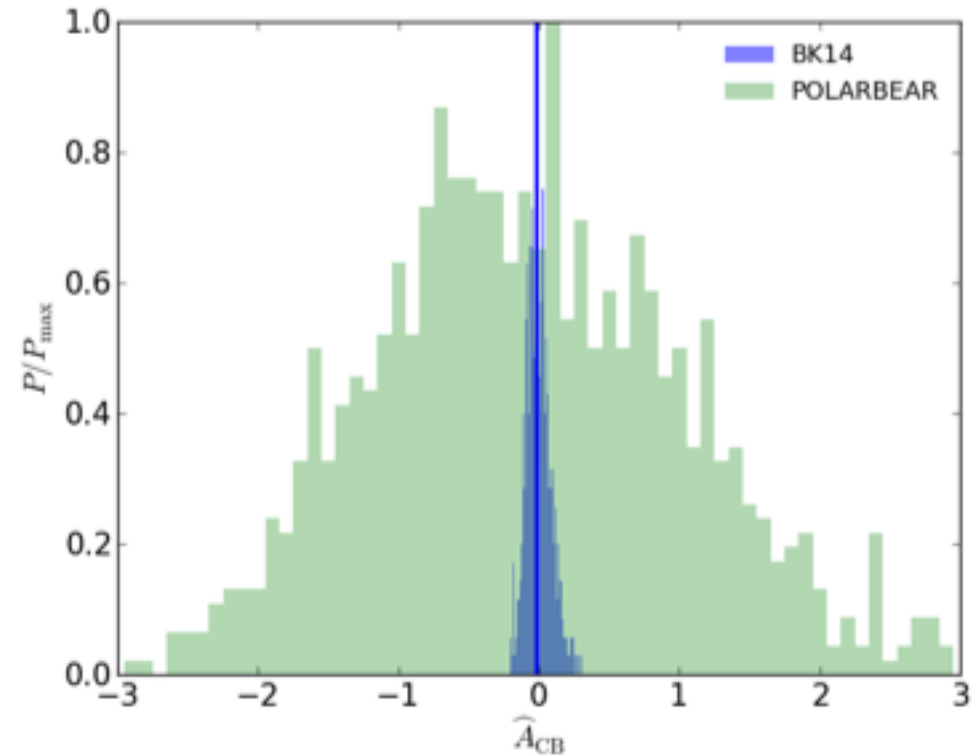
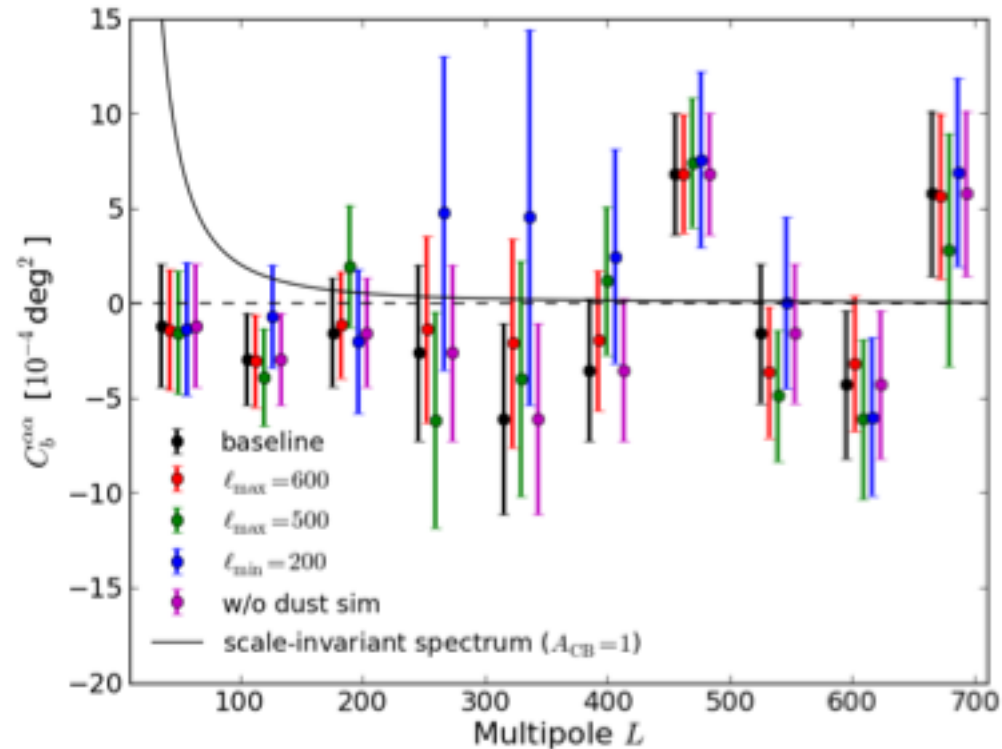


PMF **B<93 nG** on 1 Mpc scales

Scales as $\sim B^2$, so room to improve

POLARBEAR Collaboration (corresp. C. Feng) - [1509.02461](#)

Constraints from α reconstruction



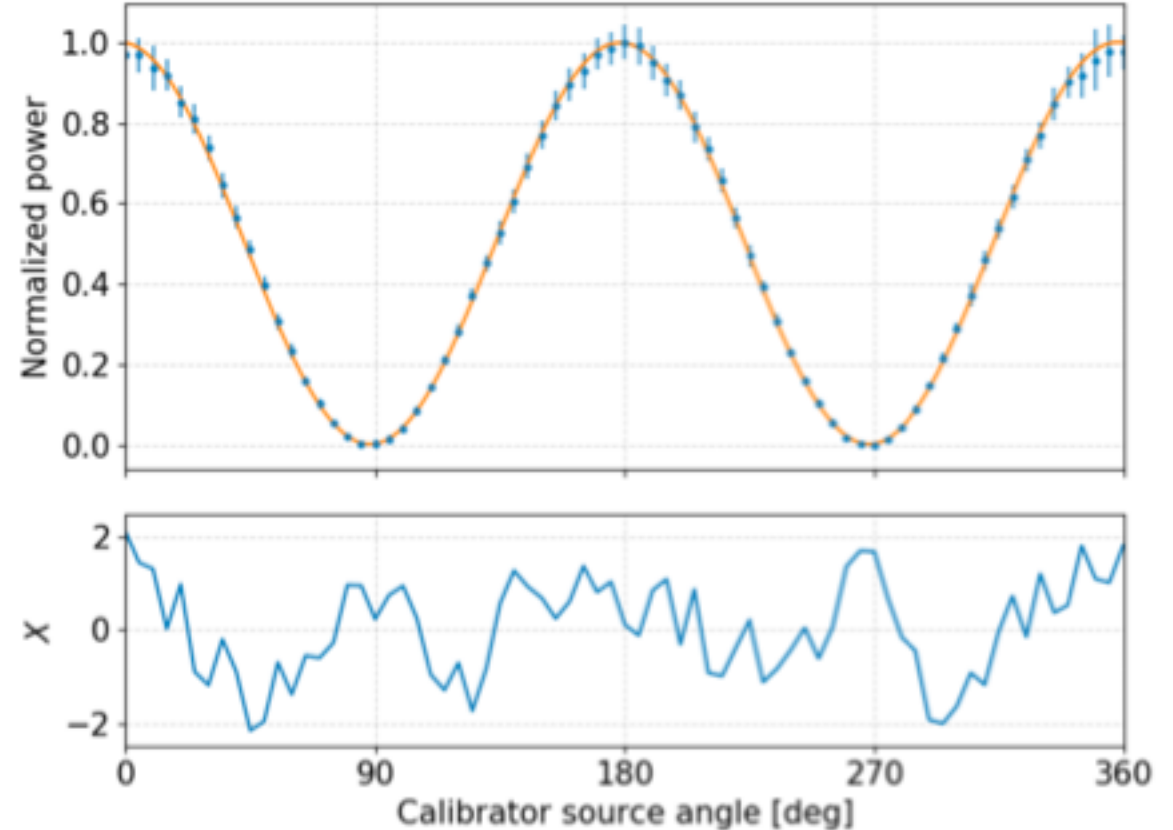
PMF **B<30 nG** on 1 Mpc scales

Scales as $\sim B^2$, so room to improve

BICEP2 / Keck Array (corresp. T. Namikawa) - [1705.02523](#)

Angle calibration

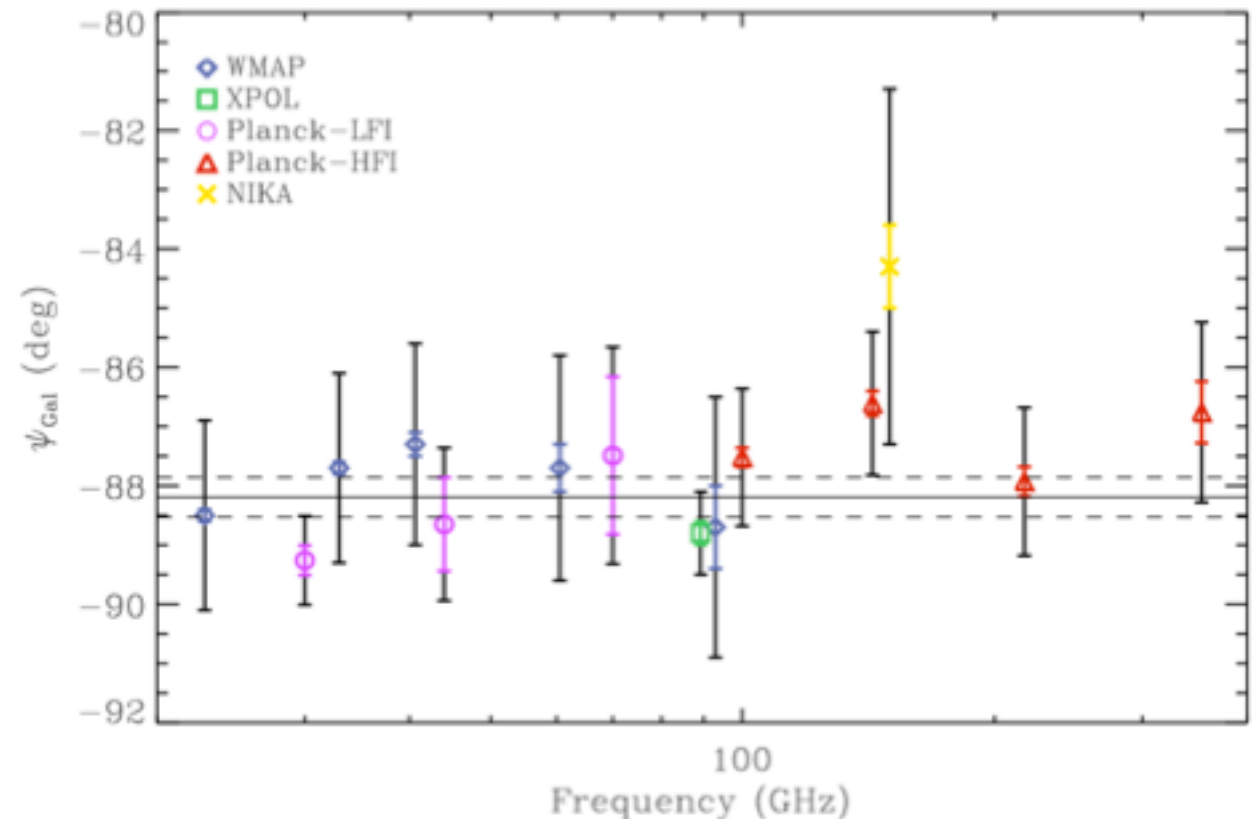
- No published constraints better than $\sim 0.5^\circ$ because multiple calibration methods often disagree
- Ideal calibrations would reference to a controlled, far field point source.
- Ground-based rotating polarized source demonstrated in lab to $\sim 0.1^\circ$ but not field proven.



Plot by M. Navaroli

Tau A as a reference calibrator

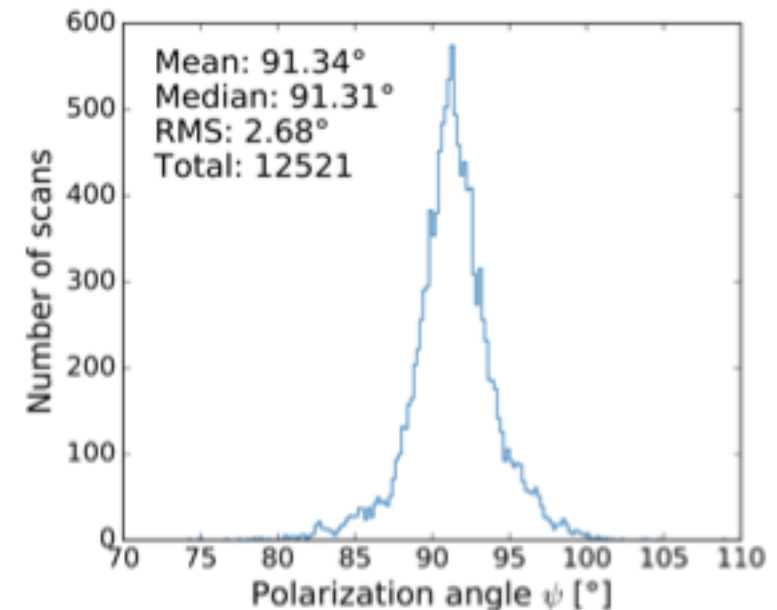
- Multiple microwave telescopes with independent, controlled ground calibrations have measured Tau A.
- Combining them results in an overall uncertainty of $\pm 0.33^\circ$.
- Tau A can help cross-calibrate Chilean telescopes but is below the horizon at South Pole.



Aumont et al., submitted to A&A - [1805.10475](https://arxiv.org/abs/1805.10475)

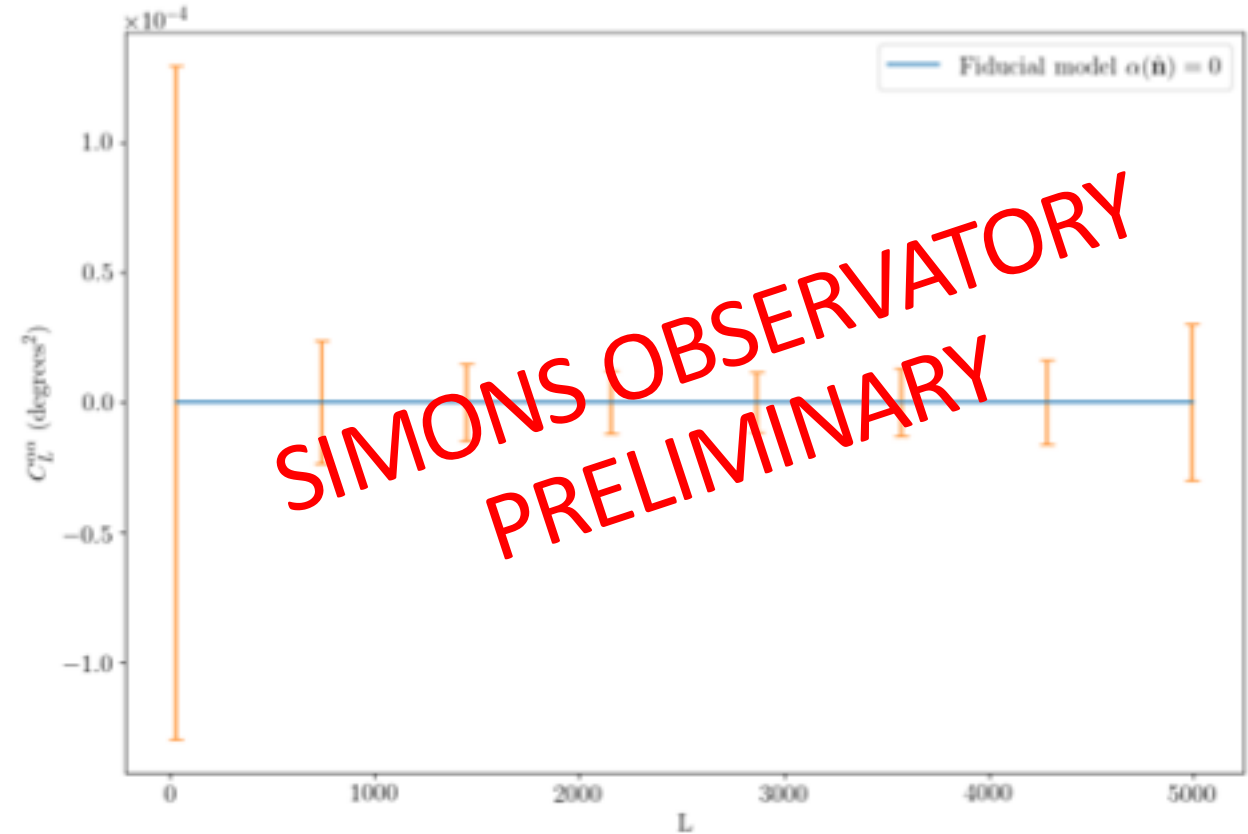
Future calibrations

- Proposal for drone or balloon-based calibrator referenced by a star camera instead of gravity: Nati et al., J. Astron. Instrum. - [1704.02704](#)
- Polarbear with a half-wave plate detects nearly horizontally polarized clouds (in prep, led by S. Takakura).



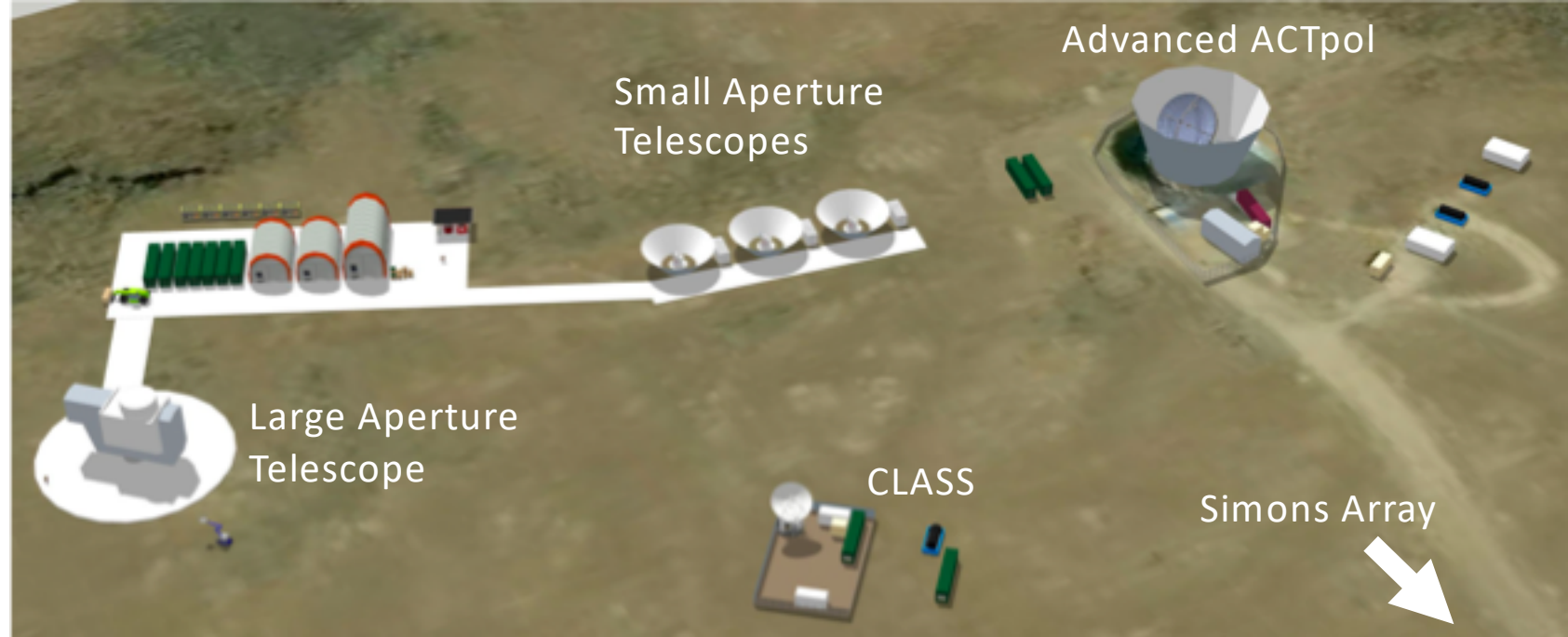
Final remarks, forecasts

- Simons Observatory noise studies are ongoing, but $\sim 10\times$ improvement to $\sigma(\alpha)$ plausible.
- Calibration uncertainties must improve below $<0.1^\circ$ to continue probing $\alpha \neq 0$.
- Errors on anisotropic rotation also likely to improve by $\sim 10\times$.
- We need more study in relation to lensing and foregrounds.



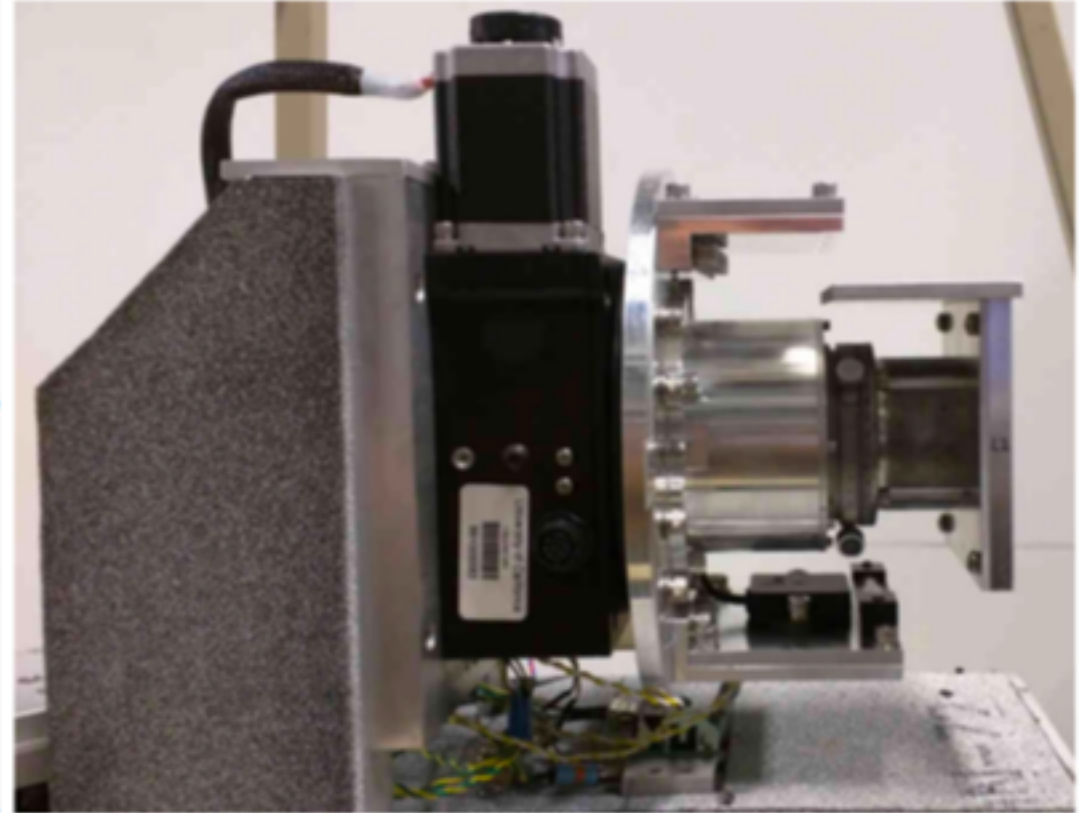
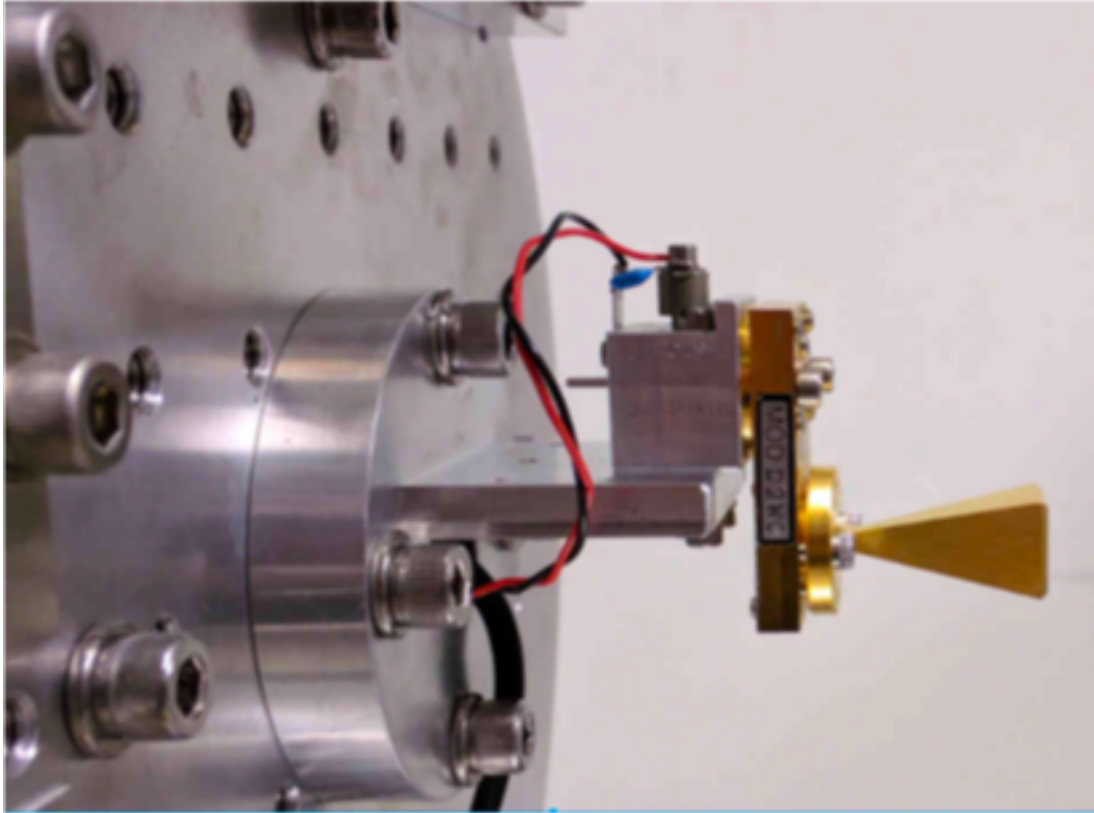
Preliminary plot by C. J. Williams

Thank you, and
stay tuned!

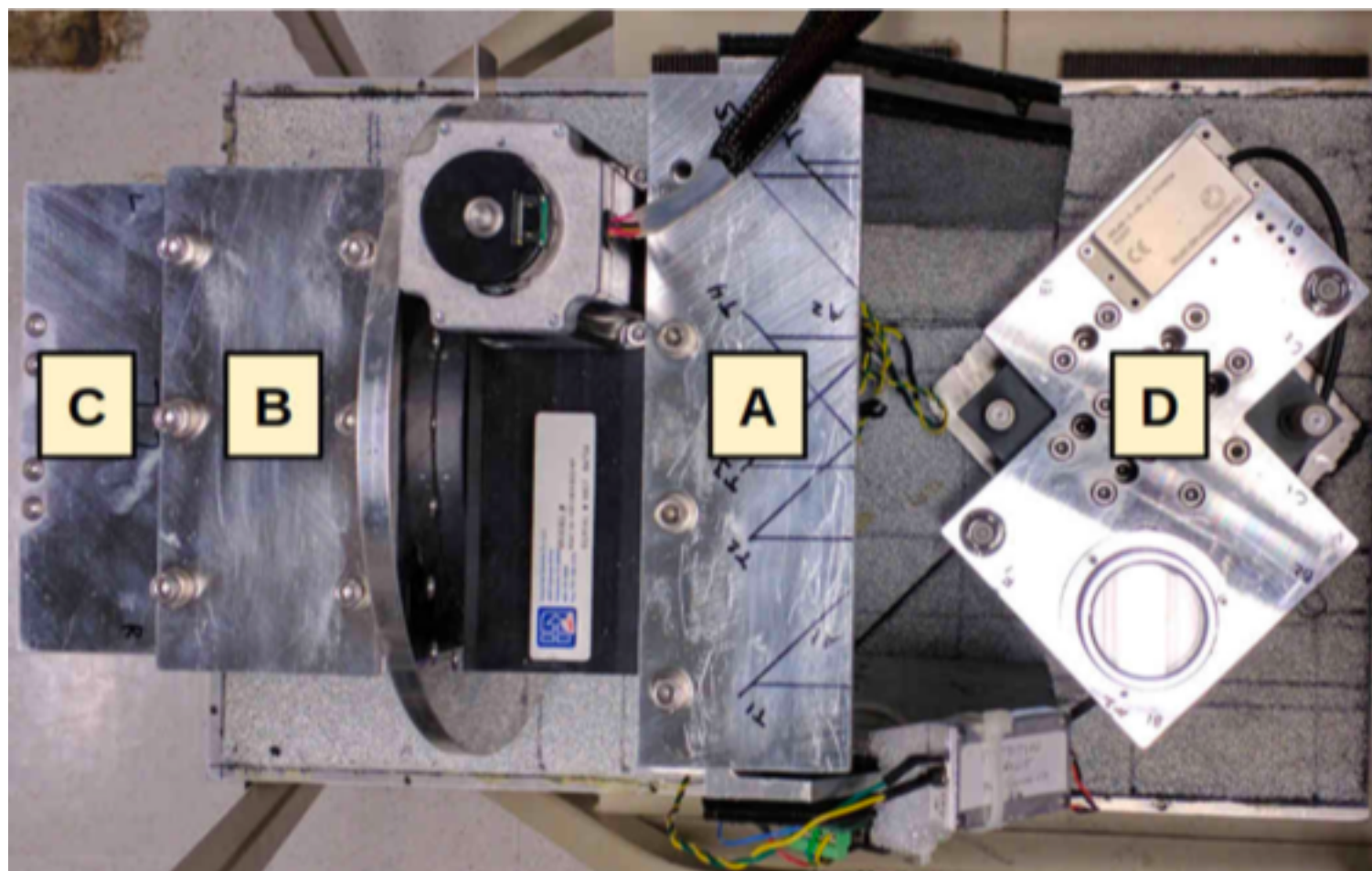


Simons Observatory Collaboration
University of Pennsylvania, 2018 June 18

Backup







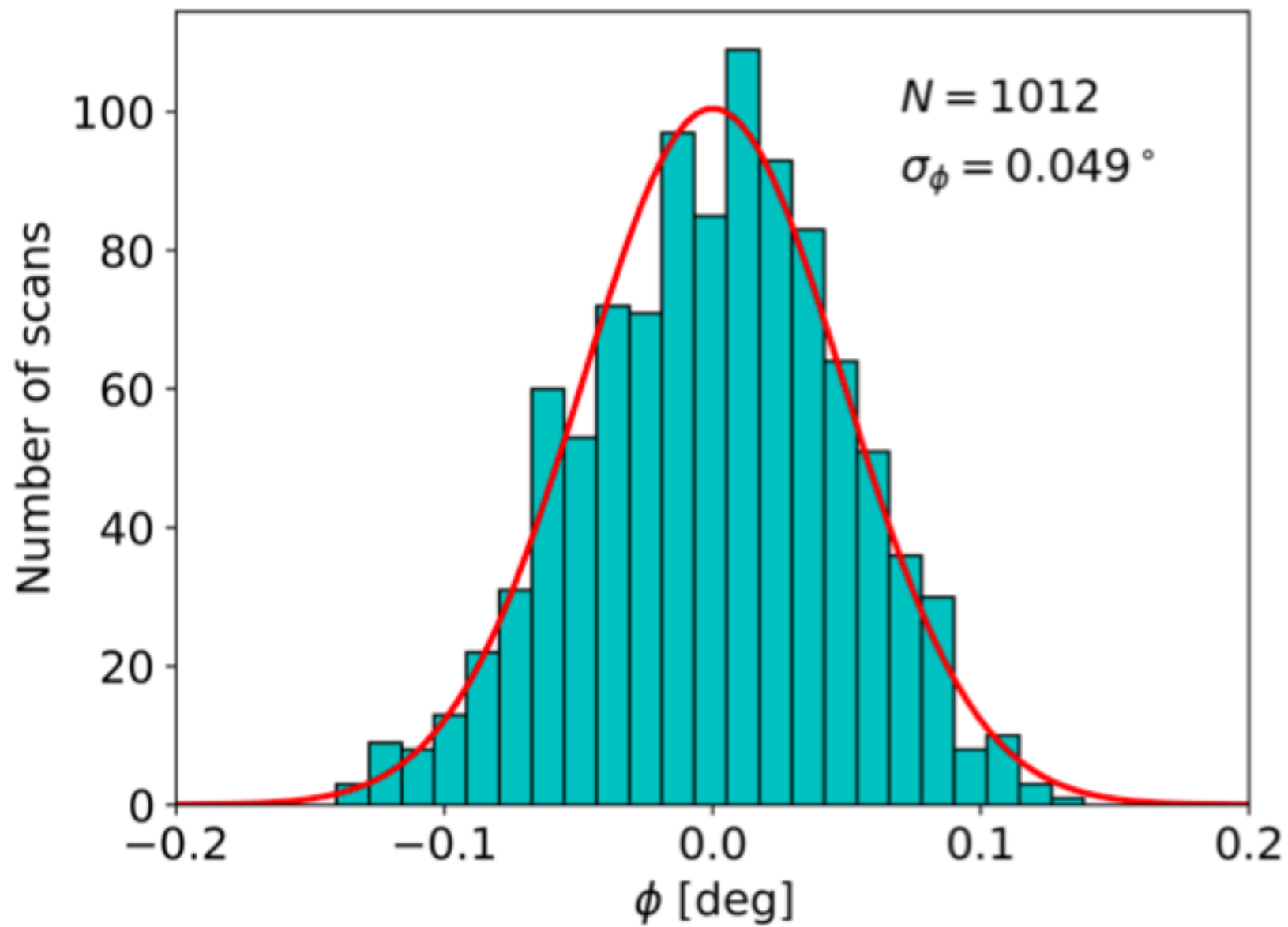
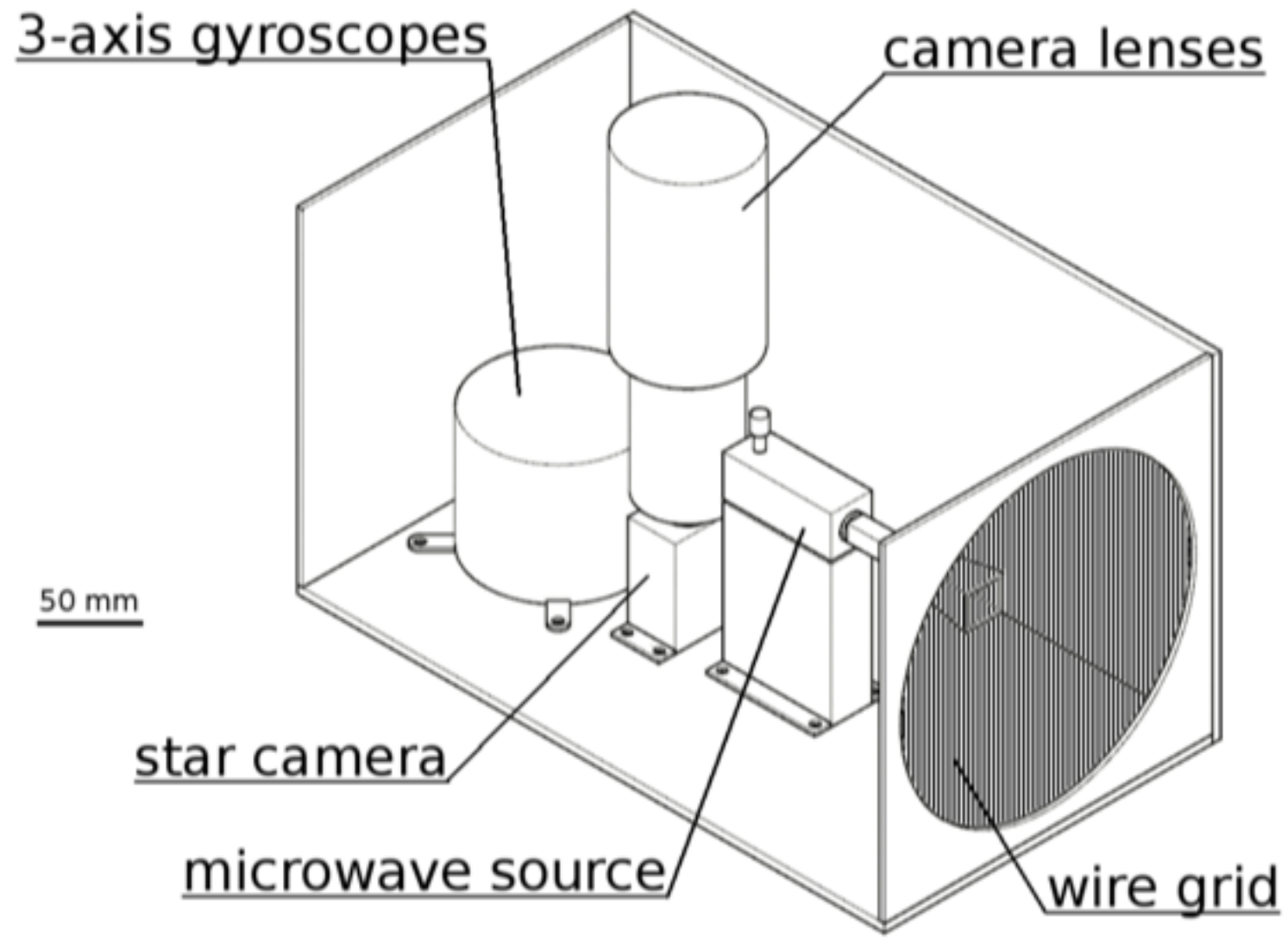
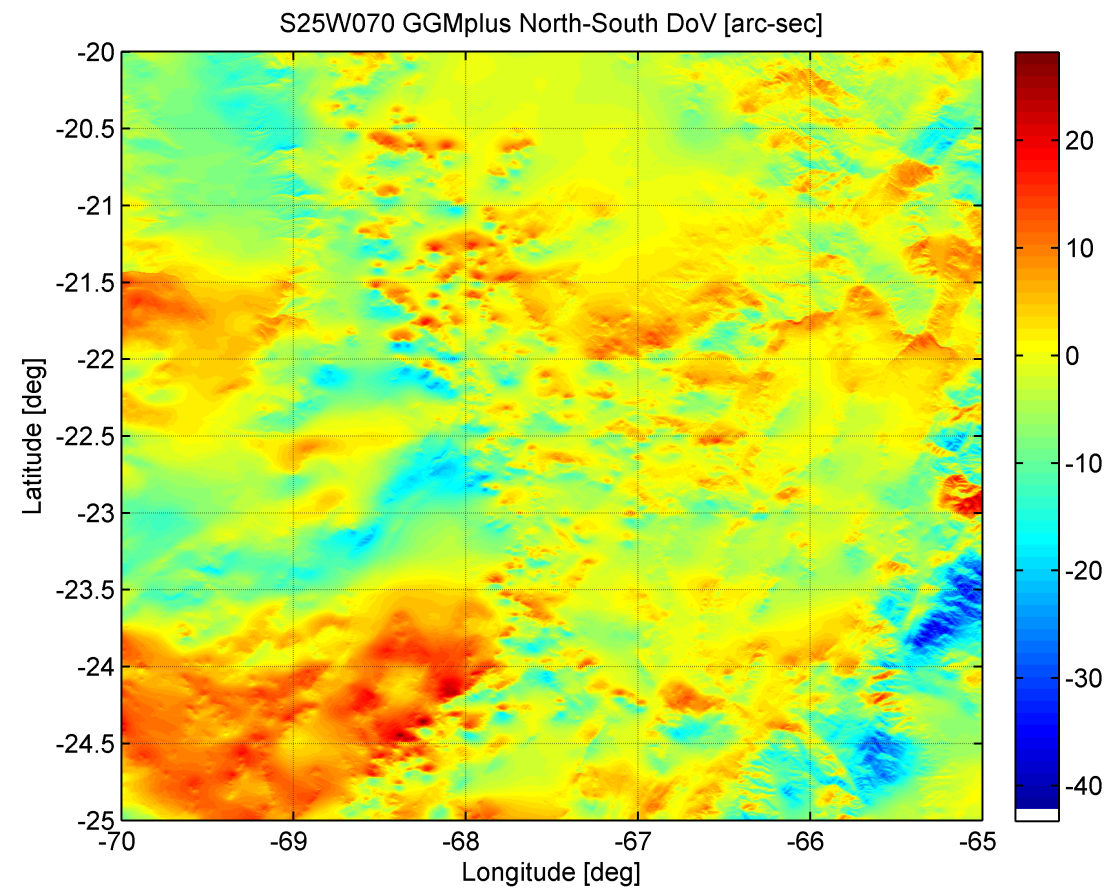
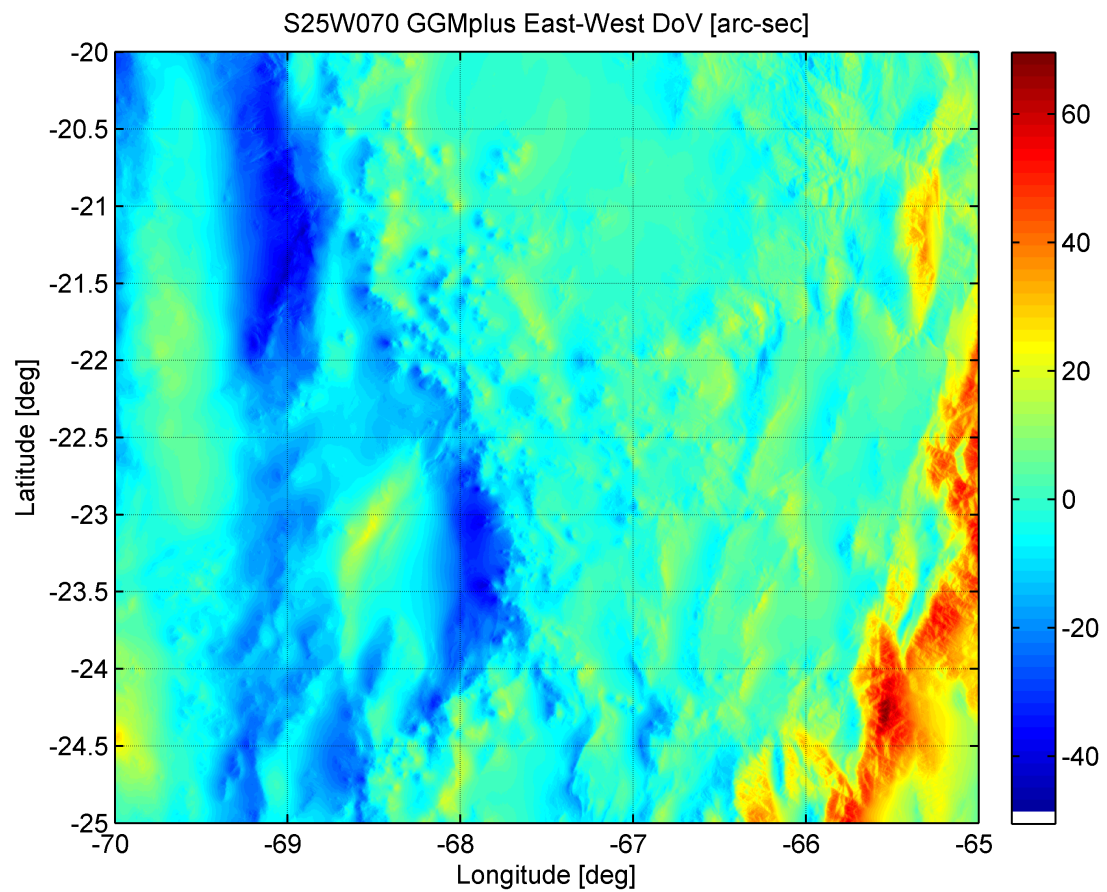


Table 1. Calculated and estimated statistical and systematic errors.

Statistical uncertainties	Angle
Wire-grid wire wrapping	0.02°
Wire-grid misalignment	0.006°
Rotation stage backlash	0.006°
Pre-pointing gravity vector leveling	0.006°
Post-pointing	0.006°
Total	0.025°
Systematic uncertainties	Angle
Electrical crosstalk	0.05°
Ground reflections	0.015°
Calibrator beam deformities	<0.01°
Gunn diode temperature stability	<0.01°
Birefringent MF-110 attenuators	<0.01°
Total	0.055°





Model of the deviation of gravity vector around the Chilean observing site
Hirt et al. - doi:10.1002/grl.50838

