

Quantized Spheres

A quantization of Maxwell's wave

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Is quantum theory exact?

**The quest for the spin-statistics
connections violation and related items**

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QUANTIZED SPHERES

- 1/ Proposition of geometry in 2D for :
 - a monochromatic photon's wave
 - a full chromatic photon's wave
 - its spectrum and superposition states

- 2 / Proposition of geometry in 3D for :
 - photon's wave
 - Electromagnetic wave

- 3/ The photon's wave in perspective with the Schrödinger equation

- 4/ the collapse wave

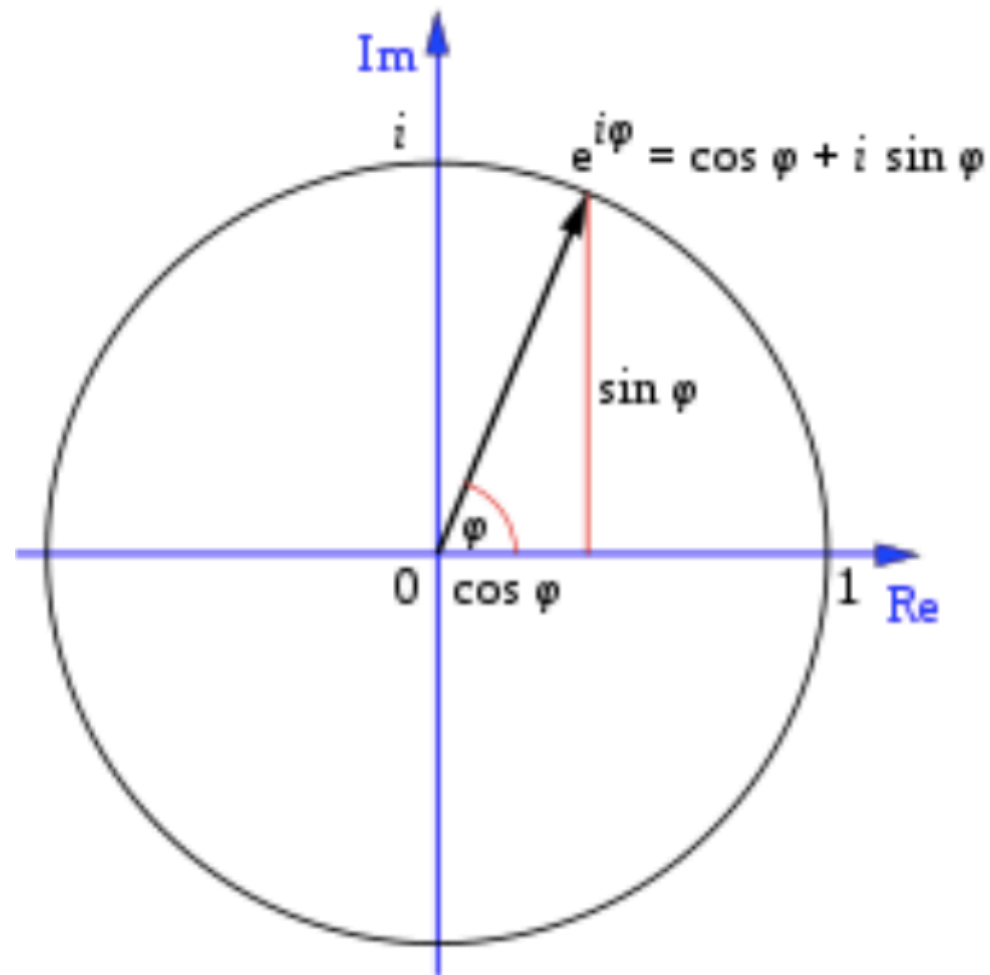
- 5/ the interference pattern

- 6/ Correlation and entanglement

- 7/ Conclusion

Euler formula

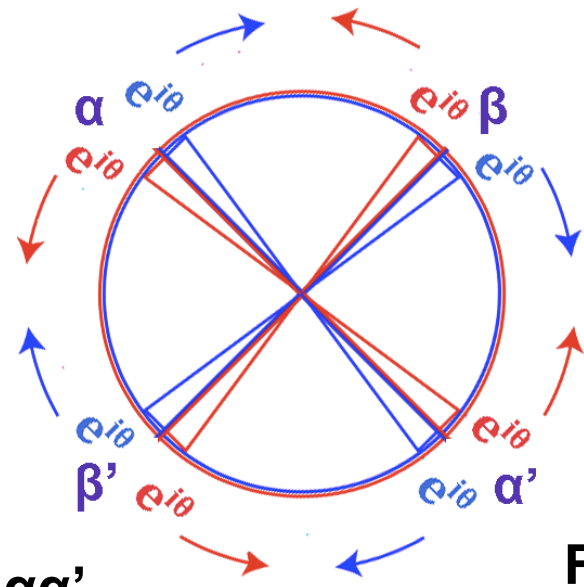
$$e^{i\varphi} = \cos(\varphi) + i \sin(\varphi)$$



$8 e^{i\theta} = 2$ groups of $4 e^{i\theta}$ in opposite rotation

Real axes and imaginary axes of both groups of 4 double pairs

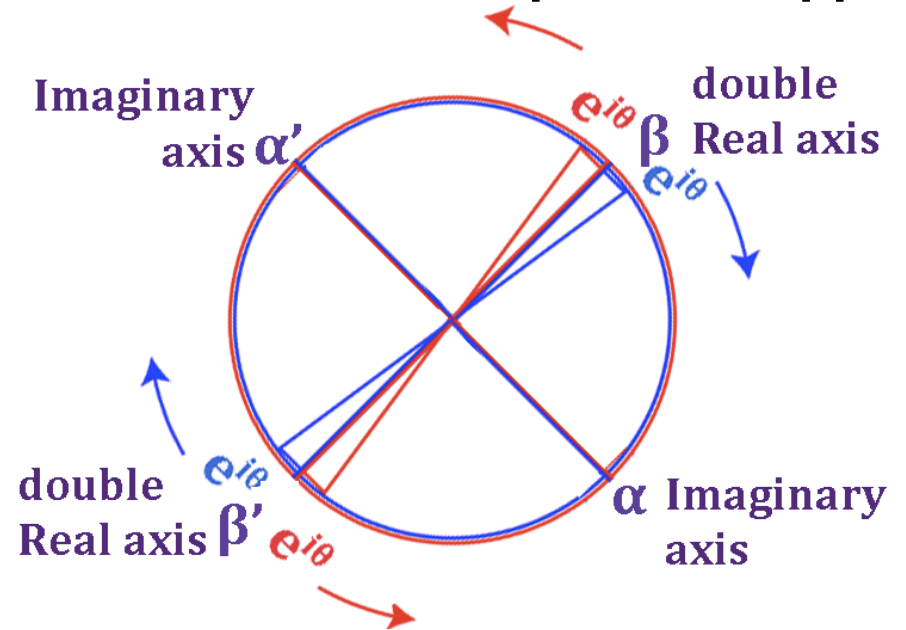
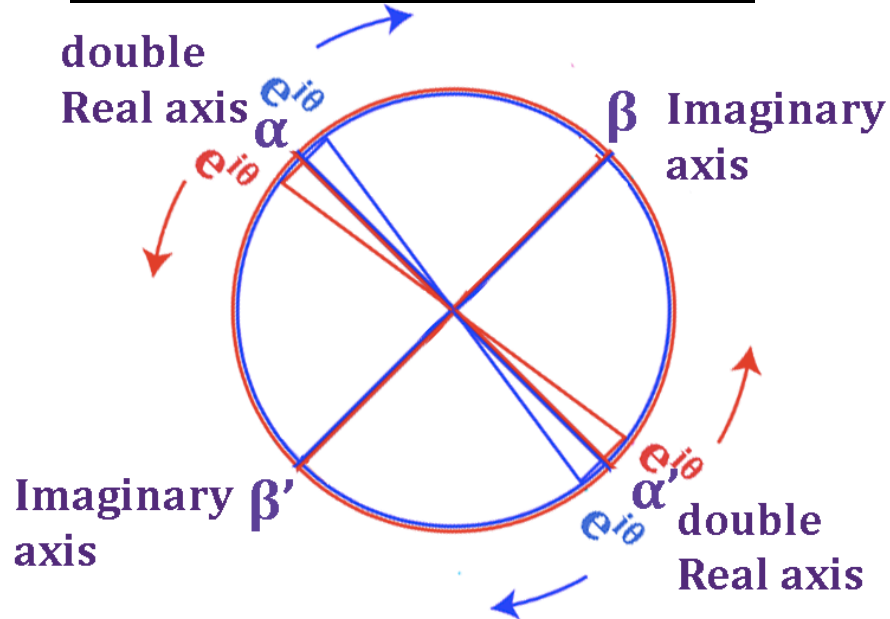
$4 \times e^{i\theta}$ 



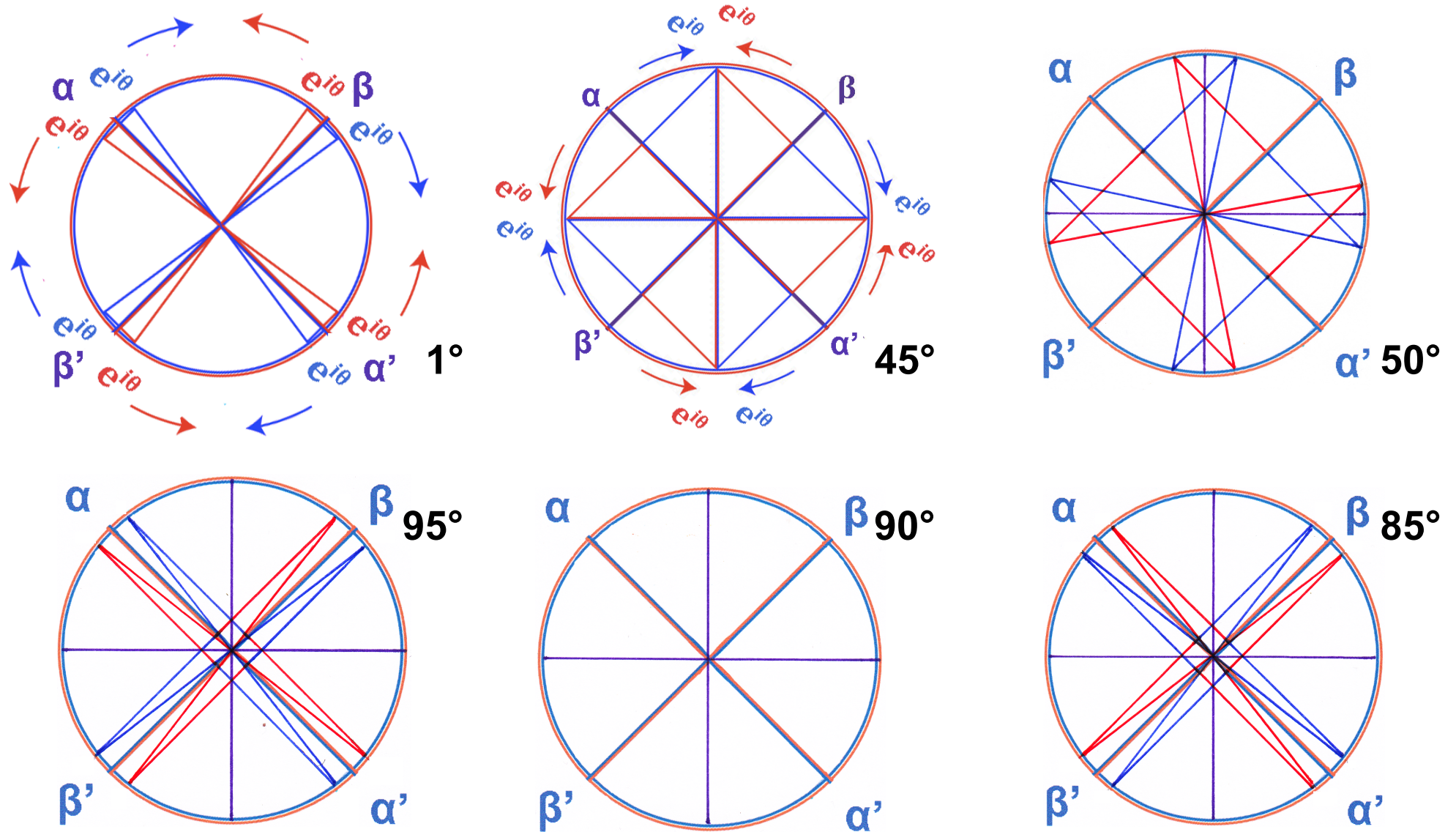
$4 \times e^{i\theta}$ 

For the $2 e^{i\theta}$ pairs axis $\alpha\alpha'$

For the $2 e^{i\theta}$ pairs axis $\beta\beta'$



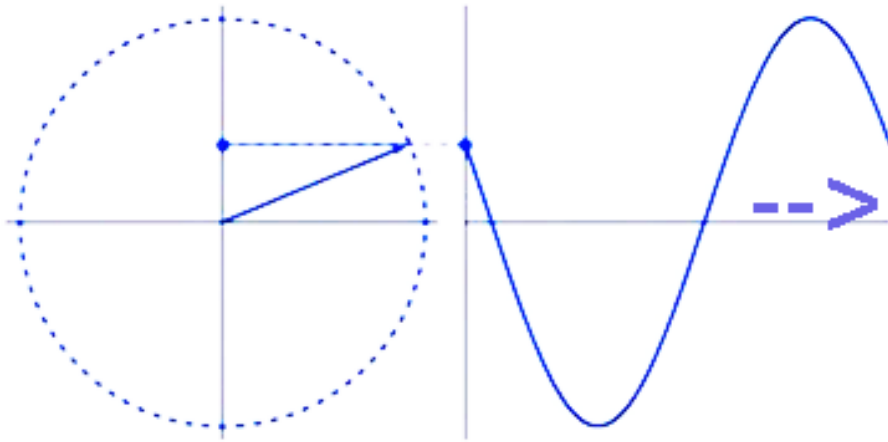
Different positions of the 8 imaginary numbers i with different value angle



Beyond 90° the 2 pairs of $e^{i\theta}$ of a same axis swap their poles

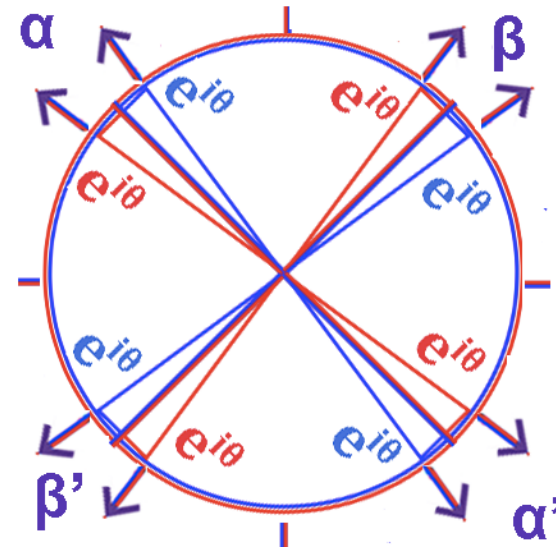
Creation of a wave

For the classical model



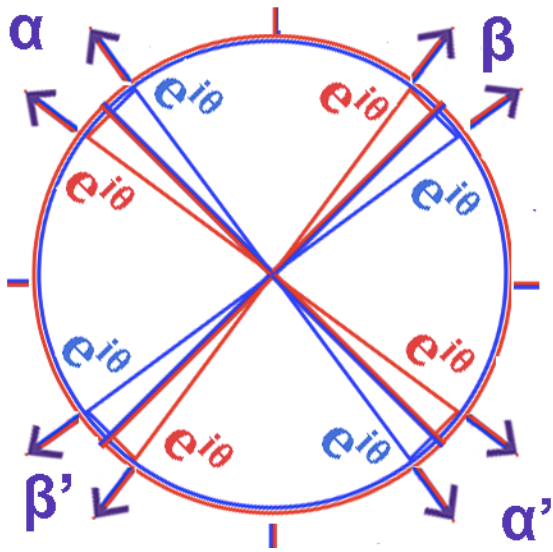
A shift added simultaneously to the rotation of the unique $e^{i\theta}$ creates a sinusoidal wave

For the 8 $e^{i\theta}$ Model

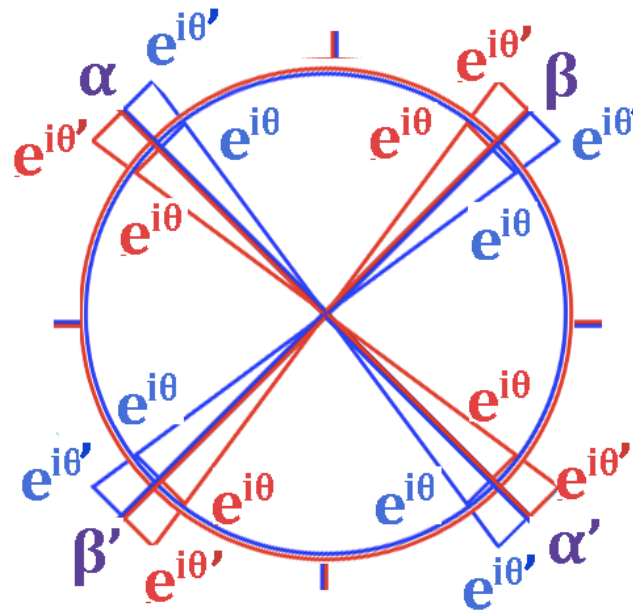


For the 8 $e^{i\theta}$ a shift is added in 8 different directions. The 4 axes made by a pair of hypotenuses are increasing in opposite direction

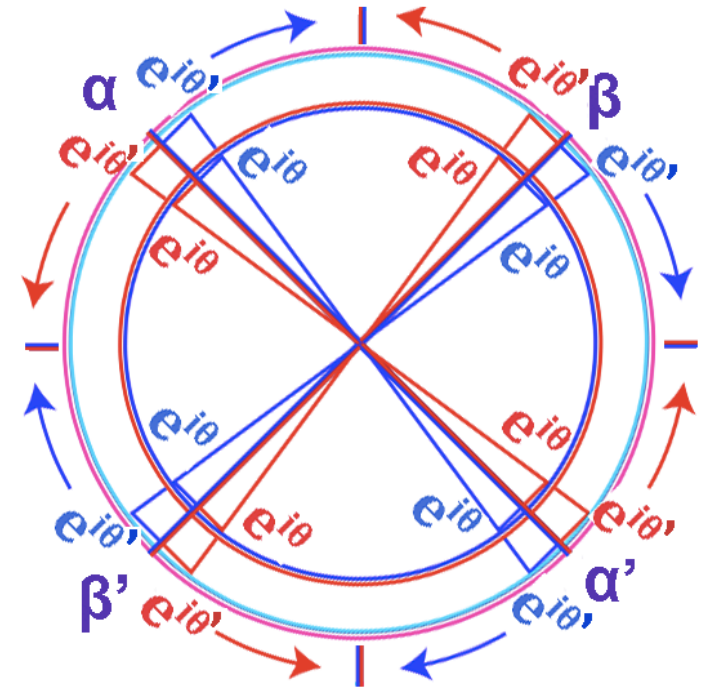
Photon's wave propagation through duplication of the 8 $e^{i\theta}$ Matrix due to 8 shifts in opposite directions per pair



1/ with space added,
hypotenuse lengths
increase and

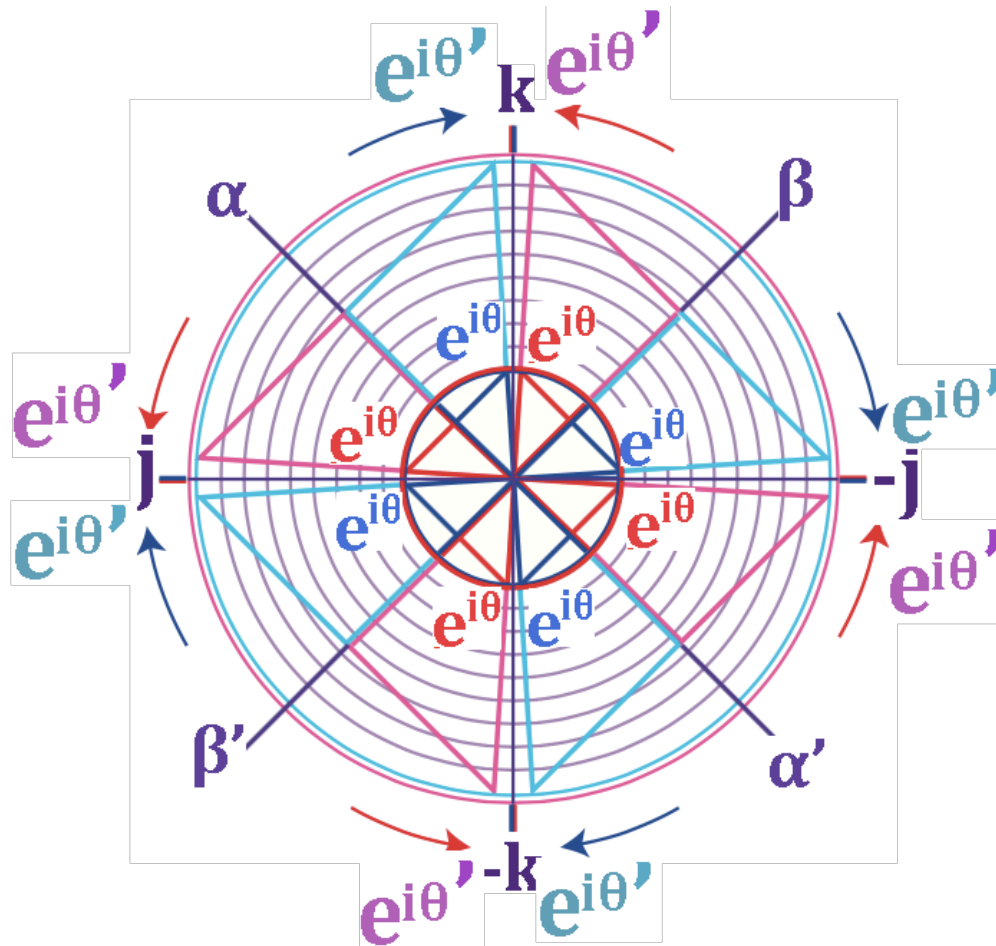


2/ create 8 new $e^{i\theta'}$

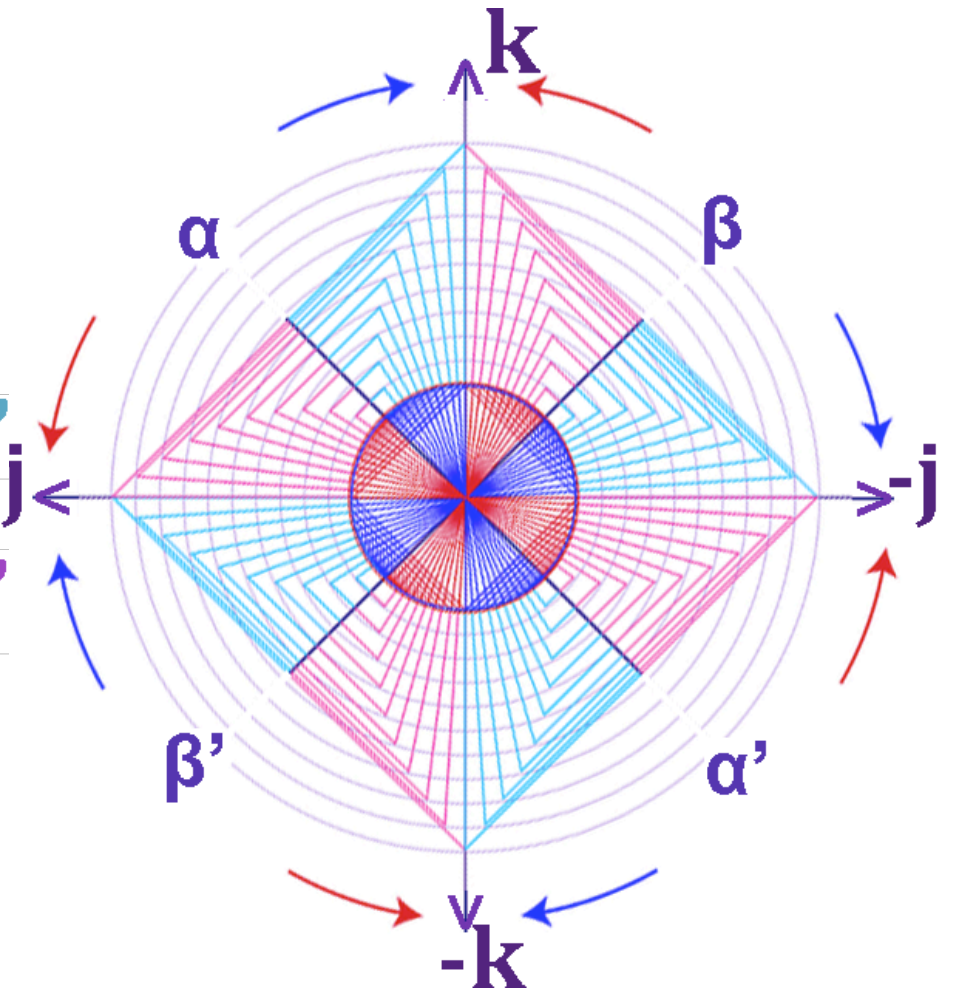


3/ rotation of the 8 new $e^{i\theta'}$

For each different degree of their rotation
the 8 Matrix $e^{i\theta}$ duplicate themselves in 8 new Son $e^{i\theta'}$

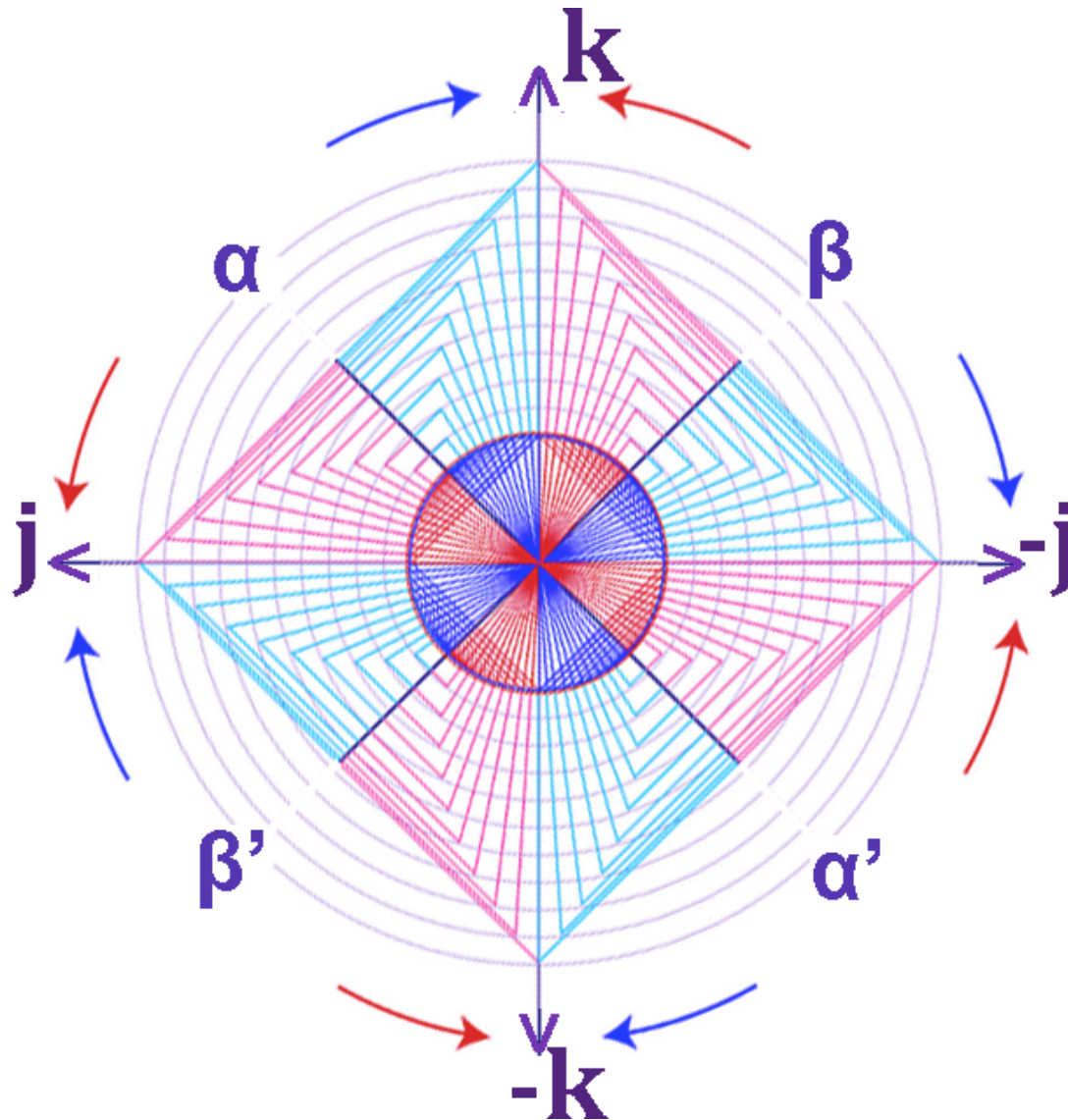


A set of 43 Son Circles
+ the first triangle Son Set
made by the 44° Matrix

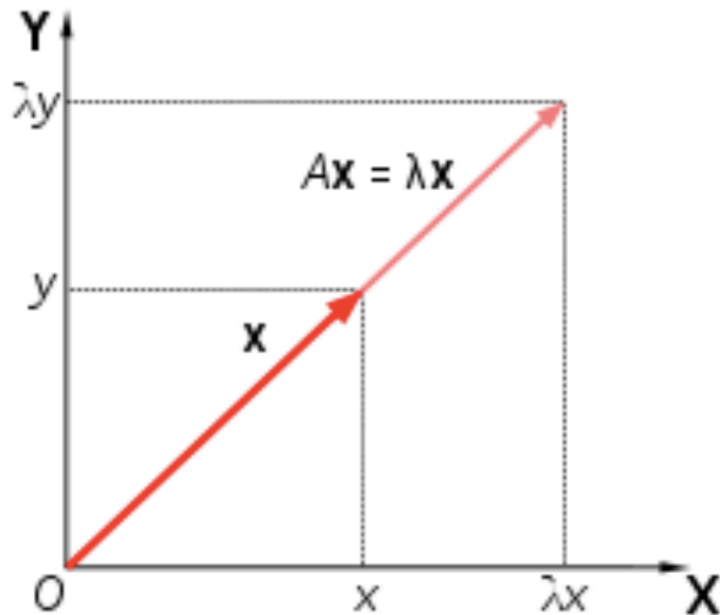


With the set of first
8 Son triangles $e^{i\theta'}$ for each Son Circle

The Son Circles do not create anything new; they only rotate.
Their speed is largely superior to the Matrix' speed rotation :
360° for each degree of the Matrix



The duplication of each Matrix $e^{i\theta}$ is provoked by the stretching of their hypotenuse by eigenvalue λ



In same direction,
the vector \mathbf{x} ($e^{i\theta}$ hypotenuse)
is stretched for the eigenvalue λ .

\mathbf{x} = eigenvector for A

λ = the length of the radian for
1 degree of the Matrix Circle.

1° θ angle = 1 λ

2° θ angle = 2 λ

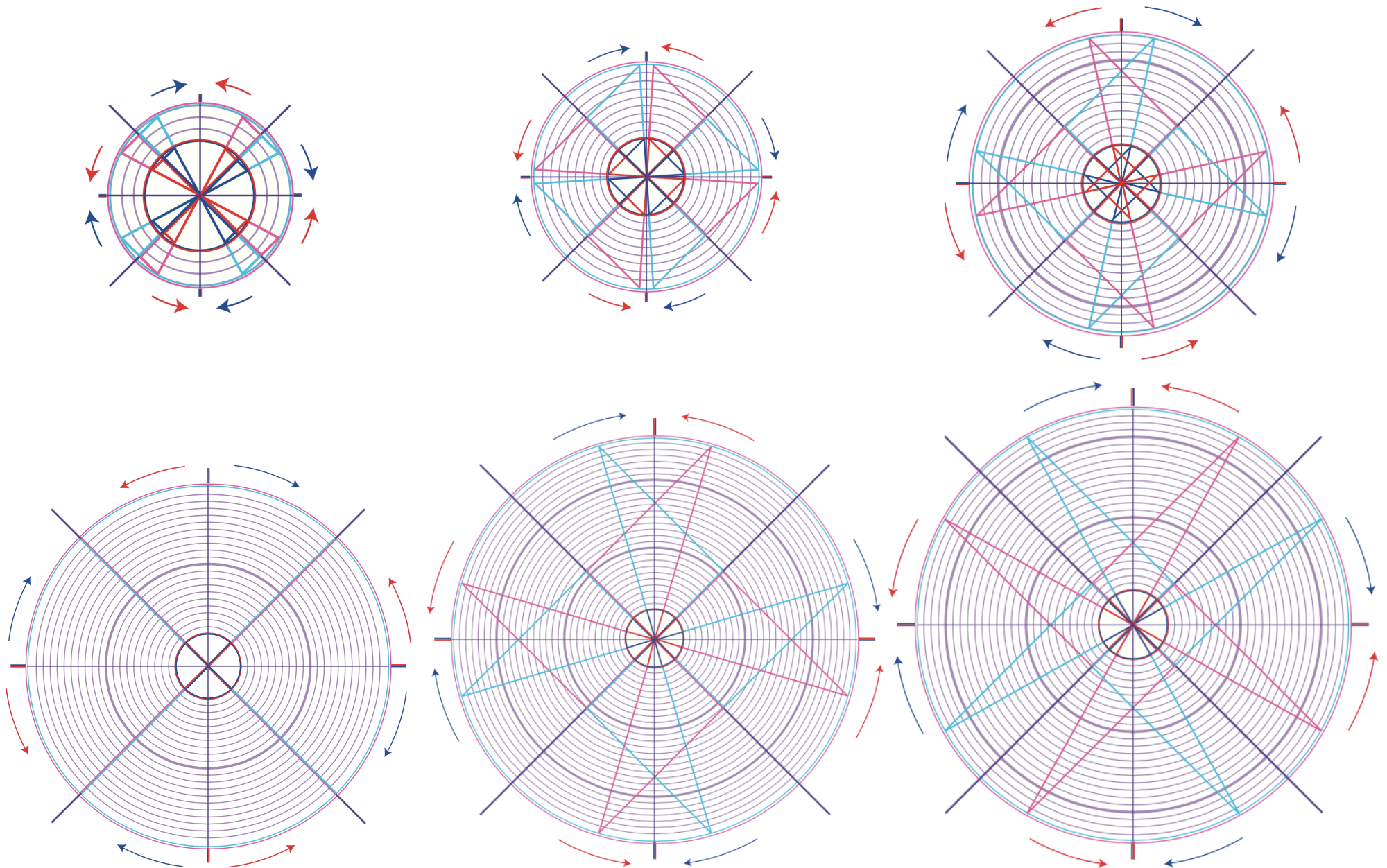
3° θ angle = 3 λ

...

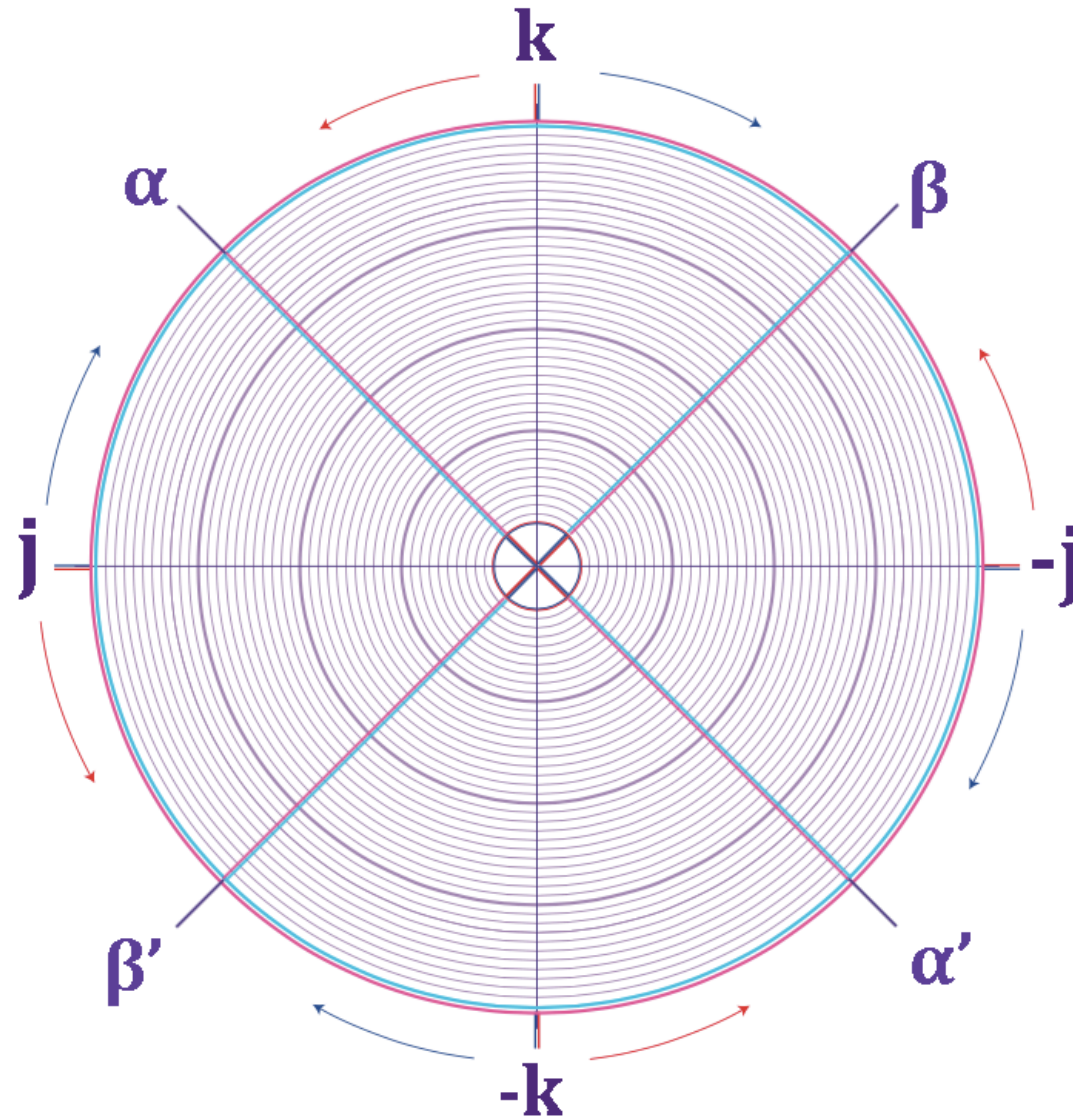
n° θ angle = $n \lambda$

**But each degree get its own
hypotenuse direction**

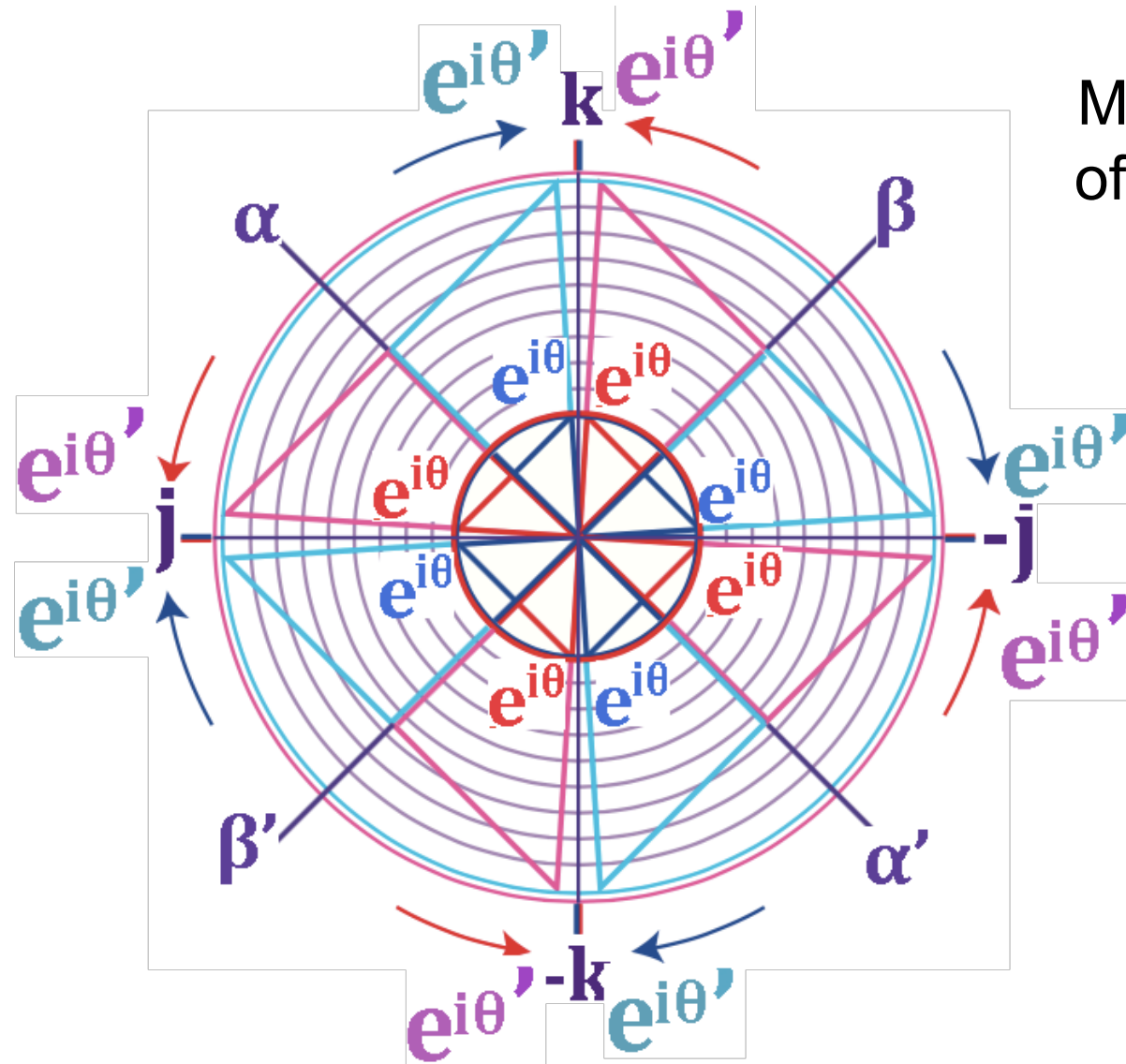
The Matrix rotation = 1 Son Circle per degree



The development of the photon's wave is done through cycles of 4 sections of 45 Son Circles

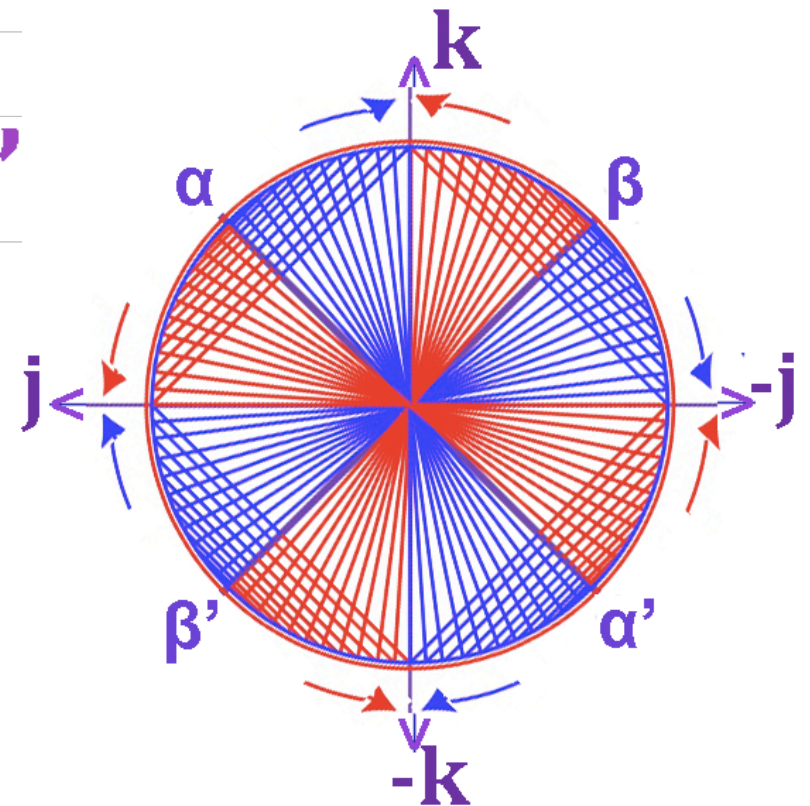


The 1st section of the 45 Son Circles (0° to 45°)



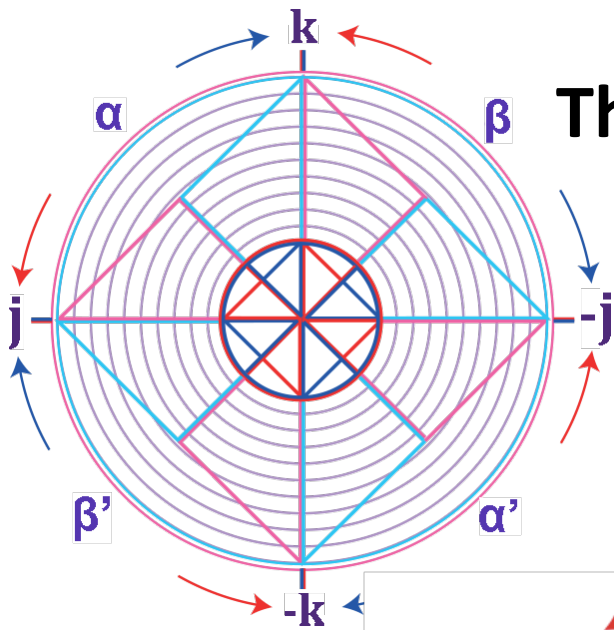
Matrix with different value of θ angle in superposition

Matrix geometry = short sine set



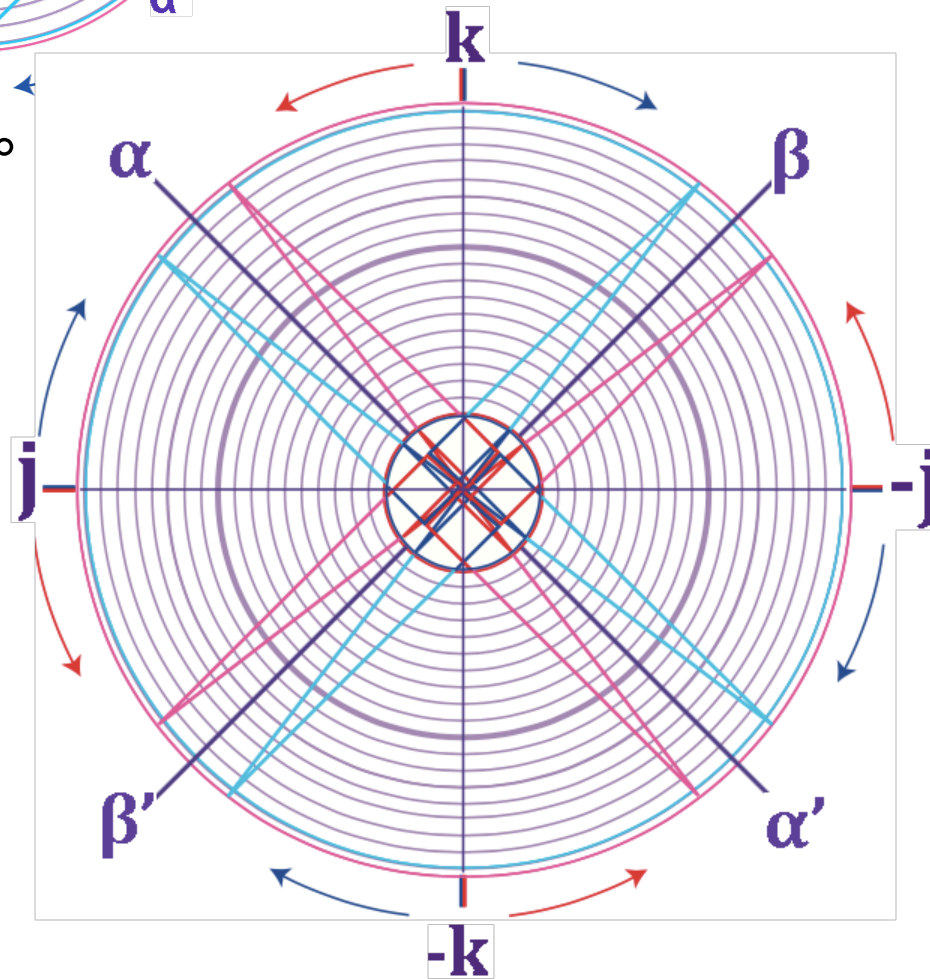
above the 44th°

The 2nd section of 45 Son Circles (45° to 90°)

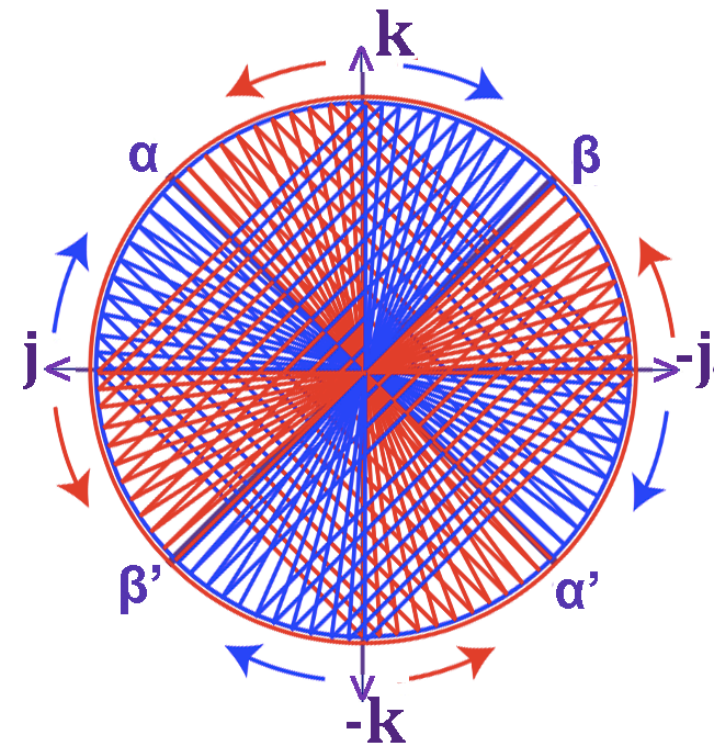


above: 45°

Matrix geometry = long sine set
+ crossing directionality

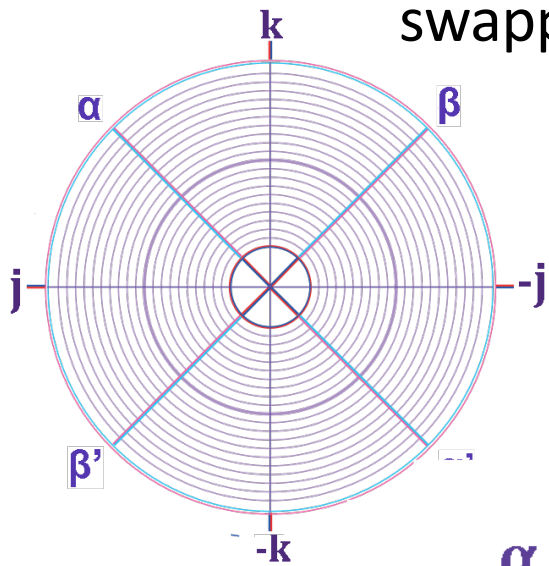


here: 85°

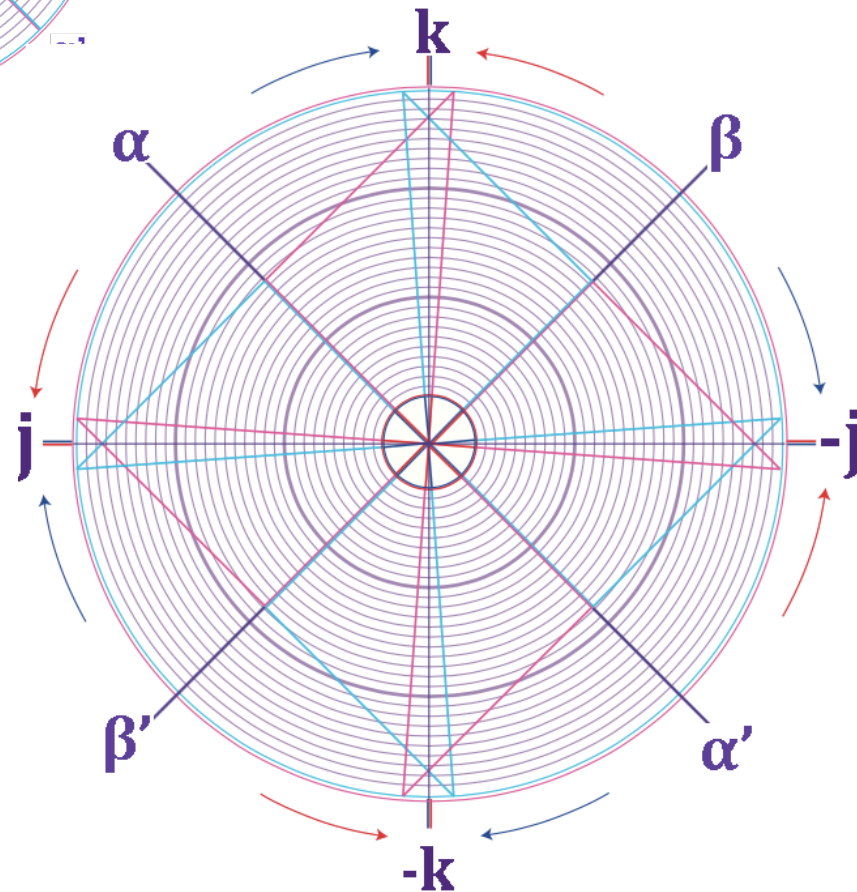


The 3rd section of 45 Son Circles (90° to 135°)

swapping of poles with a common axis for each pair on 90°

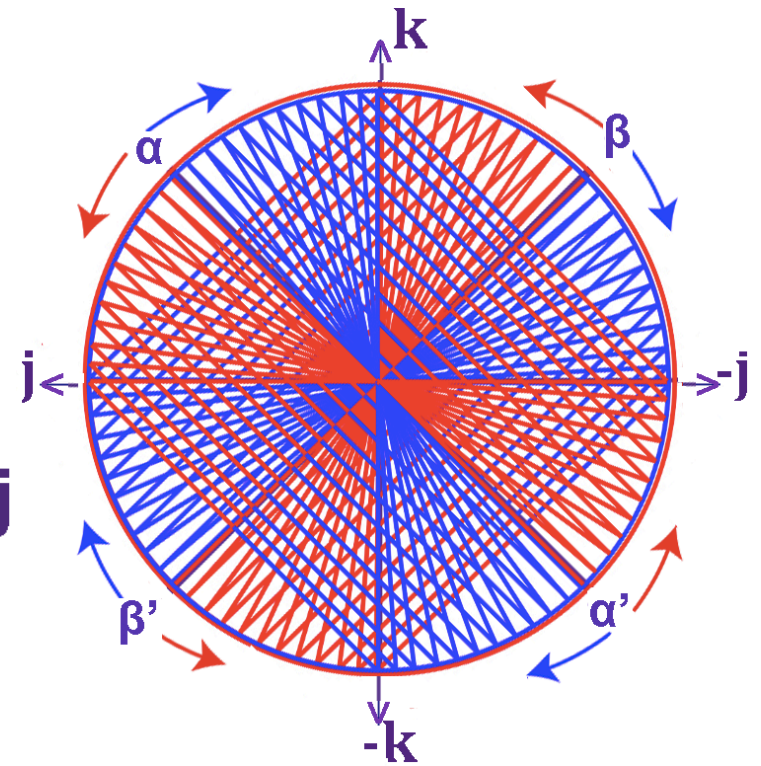


above: 90°



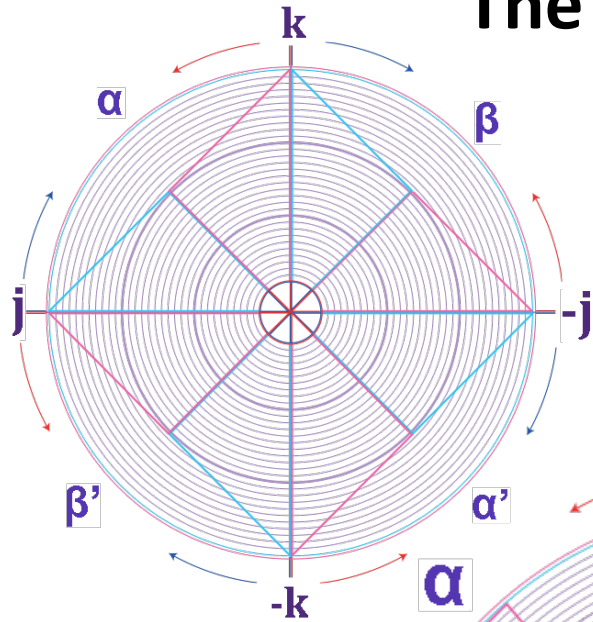
here 134°

Matrix geometry =
long sine Set + crossing directionality

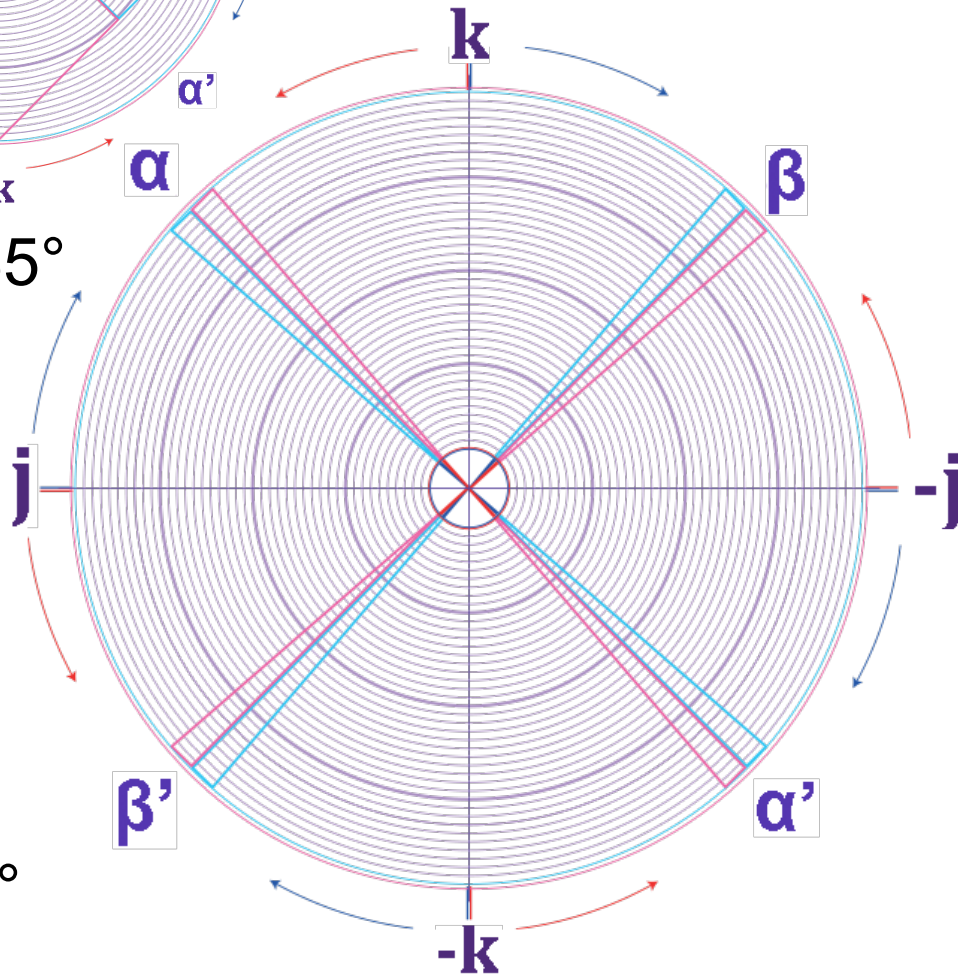


The 4th section of 45 Son Circles (135° to 179°)

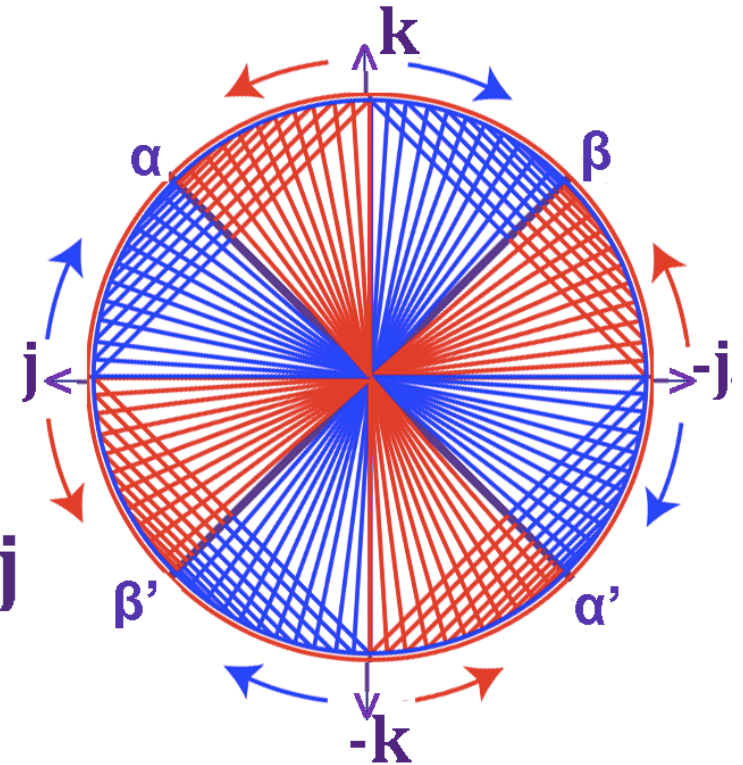
Matrix geometry = short sine set



above: 135°



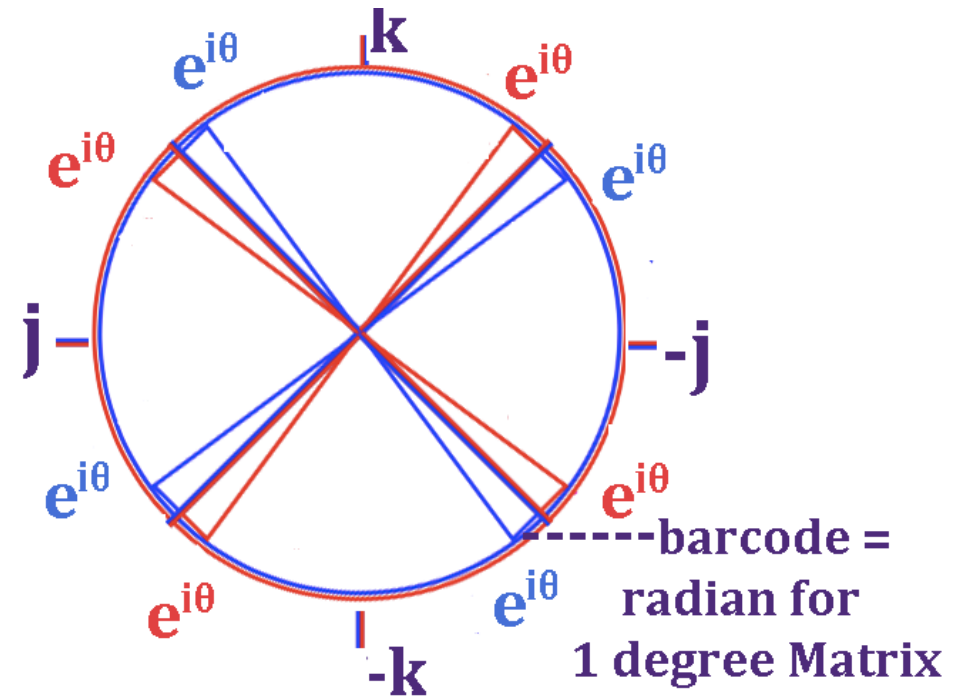
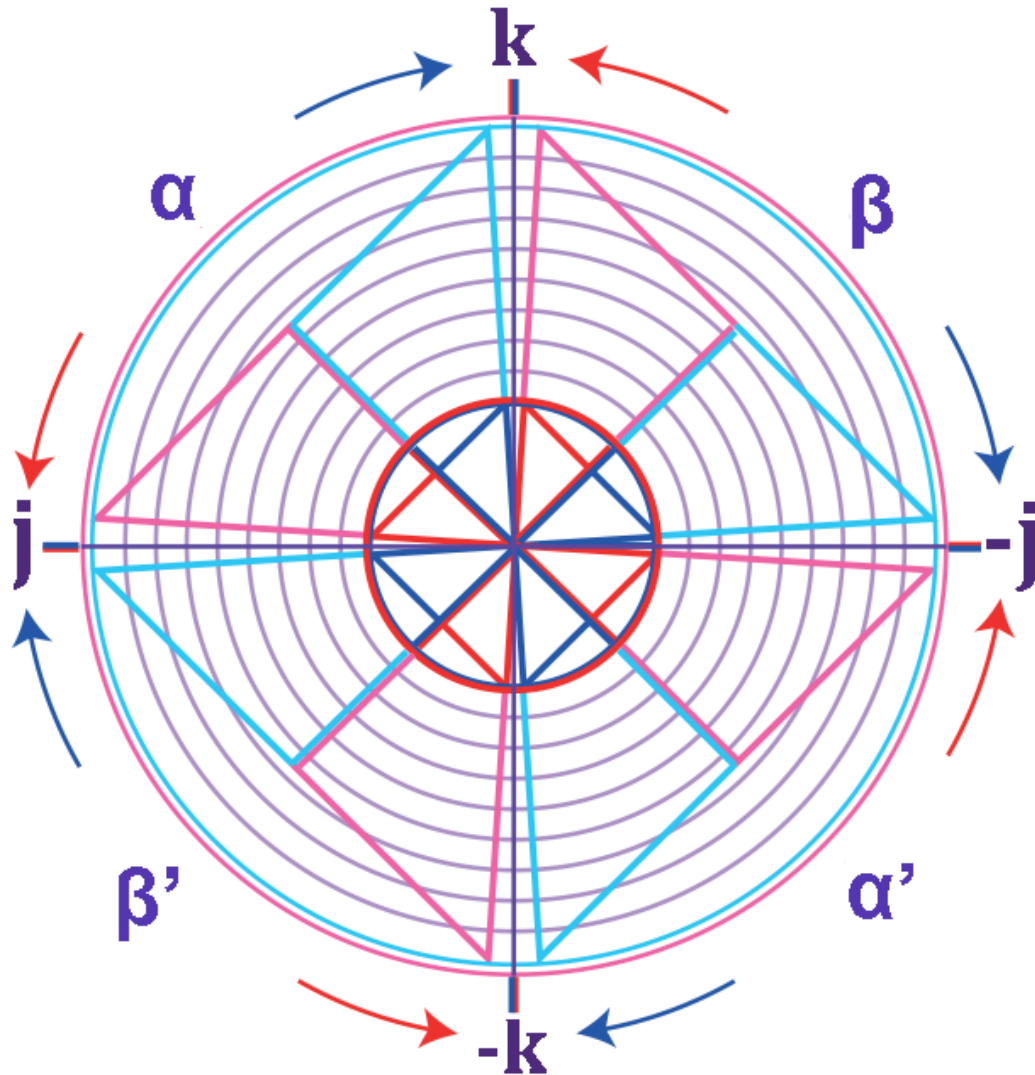
here 179°



The Matrix shapes the distance between its Son Circles

This distance is identical and unique to a Matrix
= its barcode

Each Matrix = its own barcode

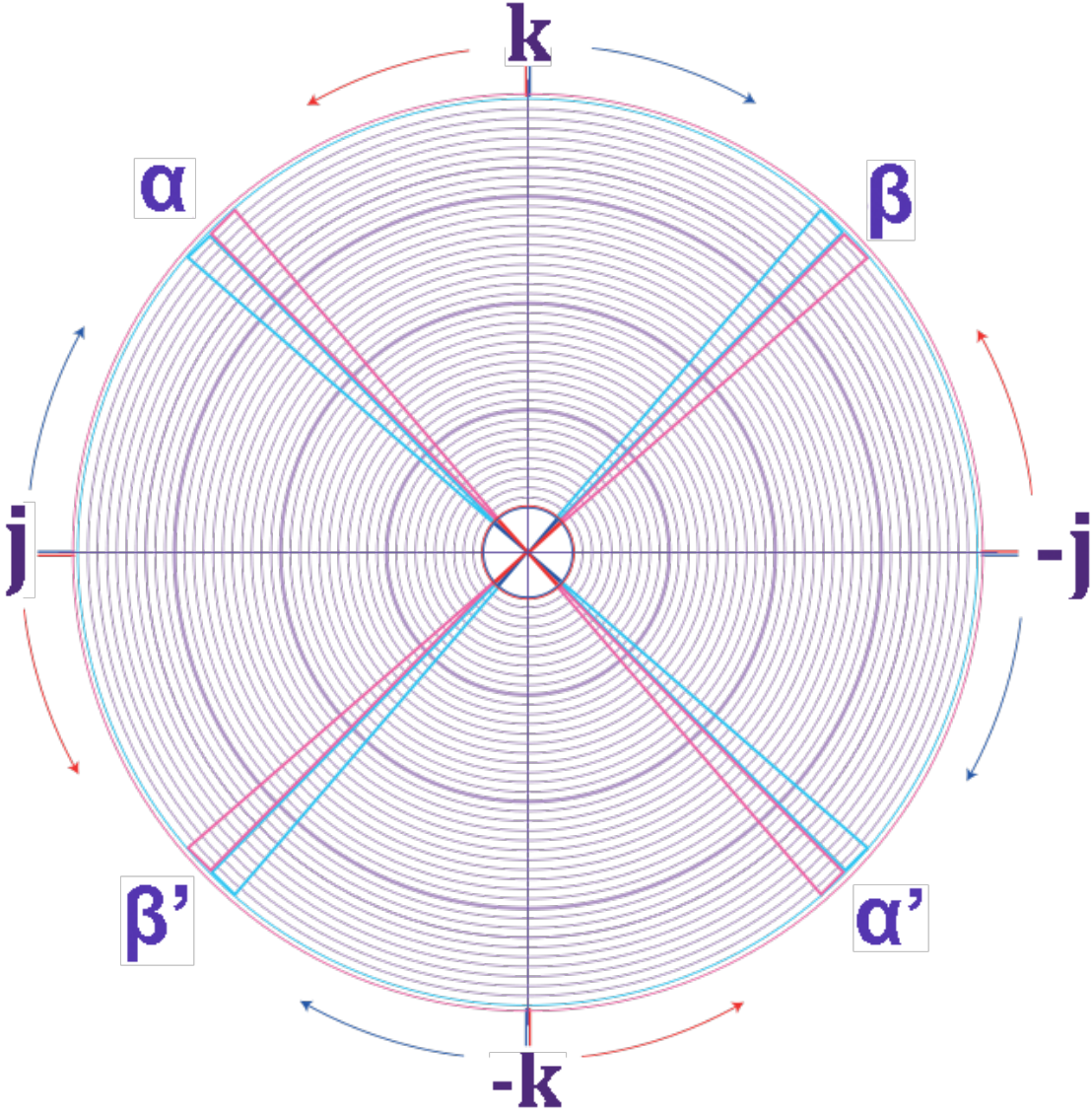
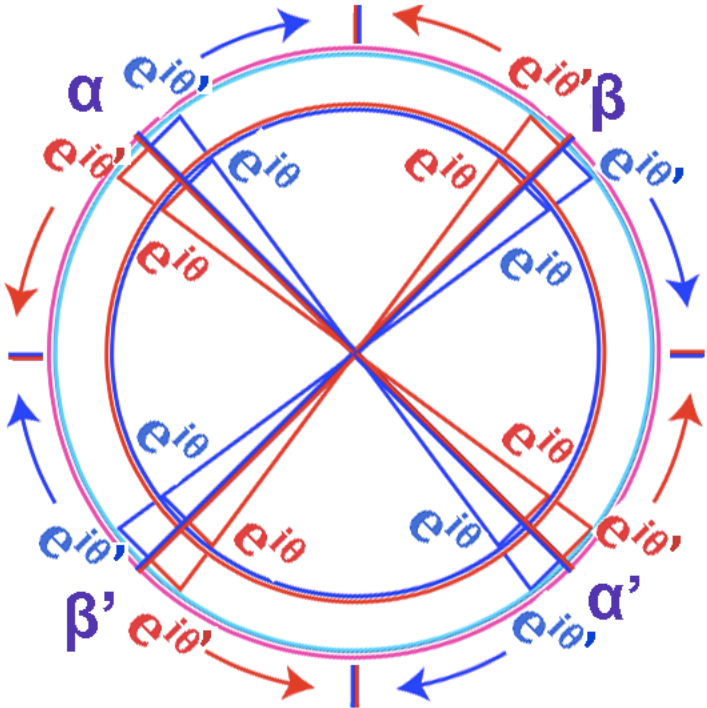
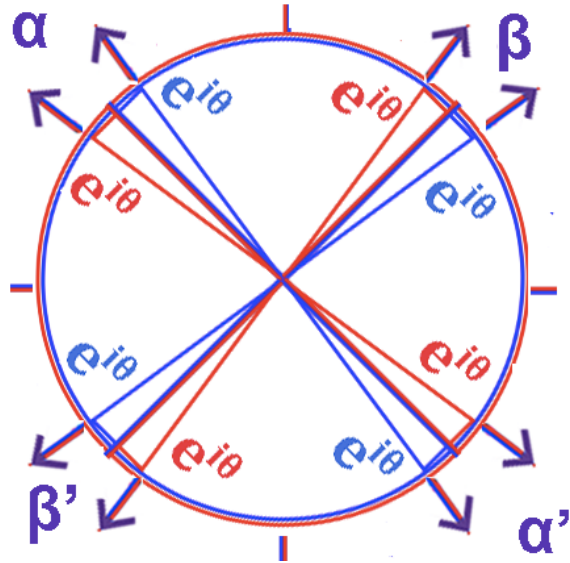


a barcode = an eigenvalue λ

it determines wavelength
and frequency

1 Cycle = 1 phase = 4 half curves

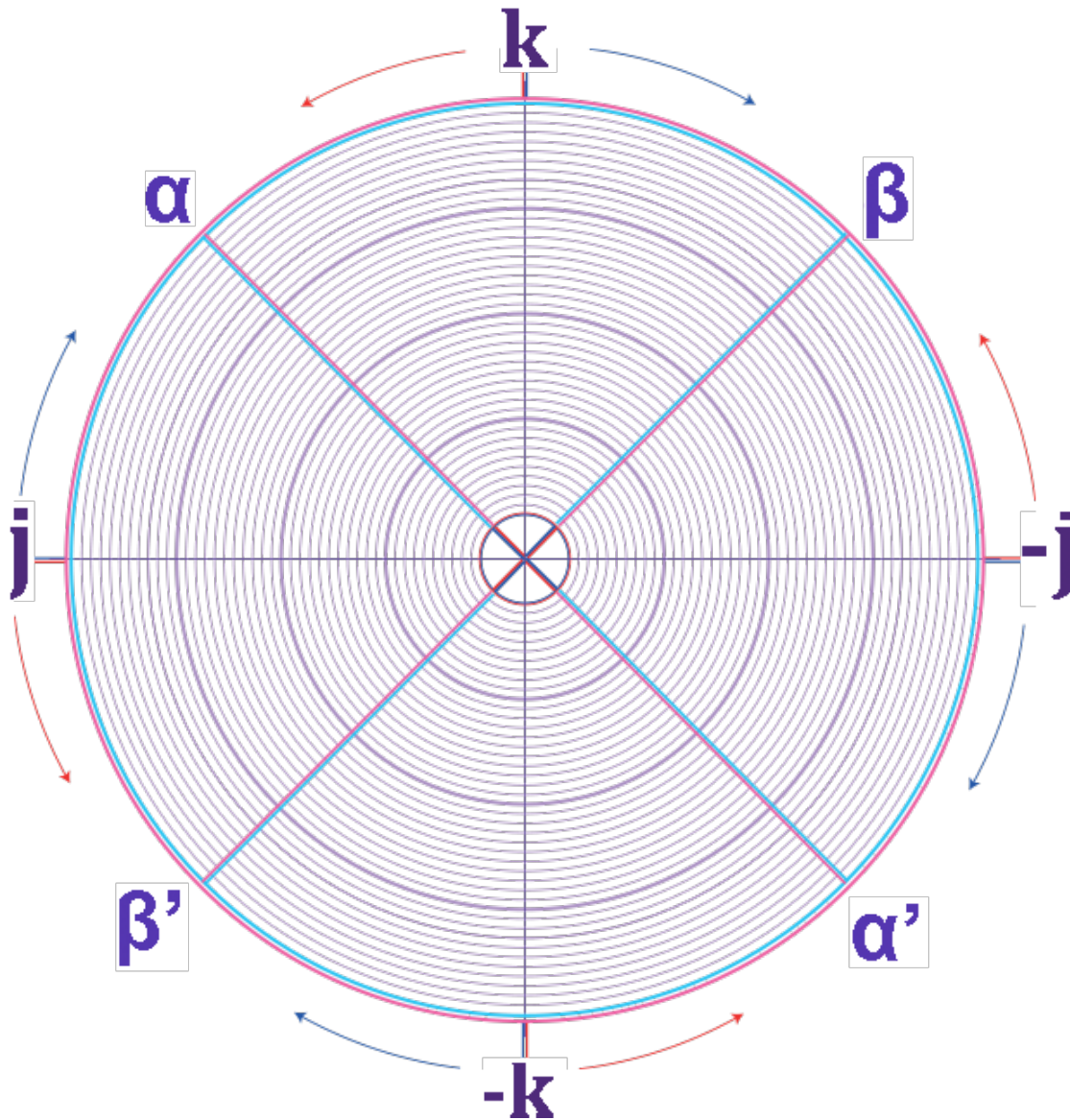
Matrix and Son Circles



1° = 1 Son Circle

179° Matrix =
179 Son Circles

Creation of a new Matrix

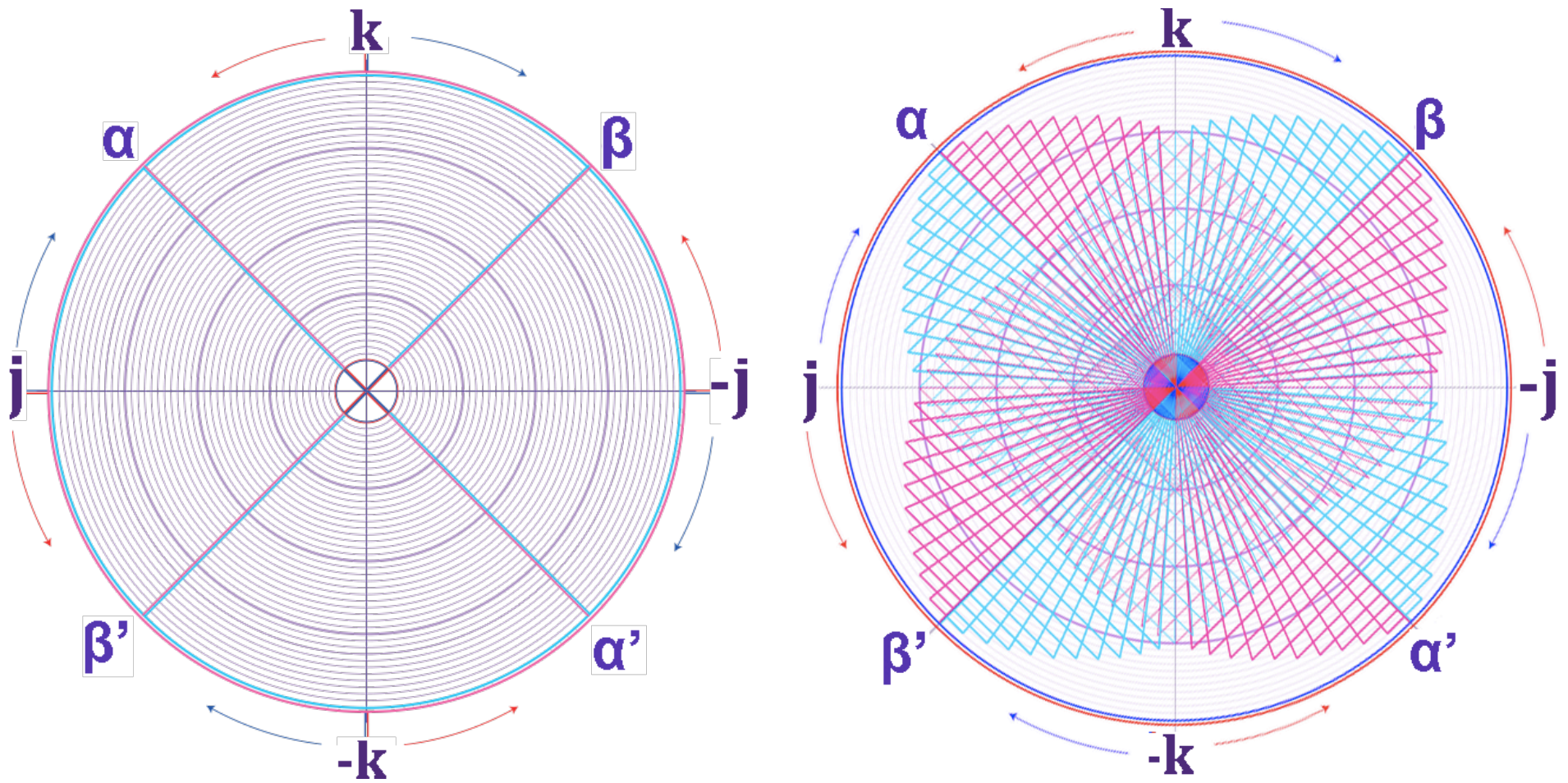


The extension of 180λ for the $180^\circ \theta$ angle costs 1 quantum of energy to a Matrix

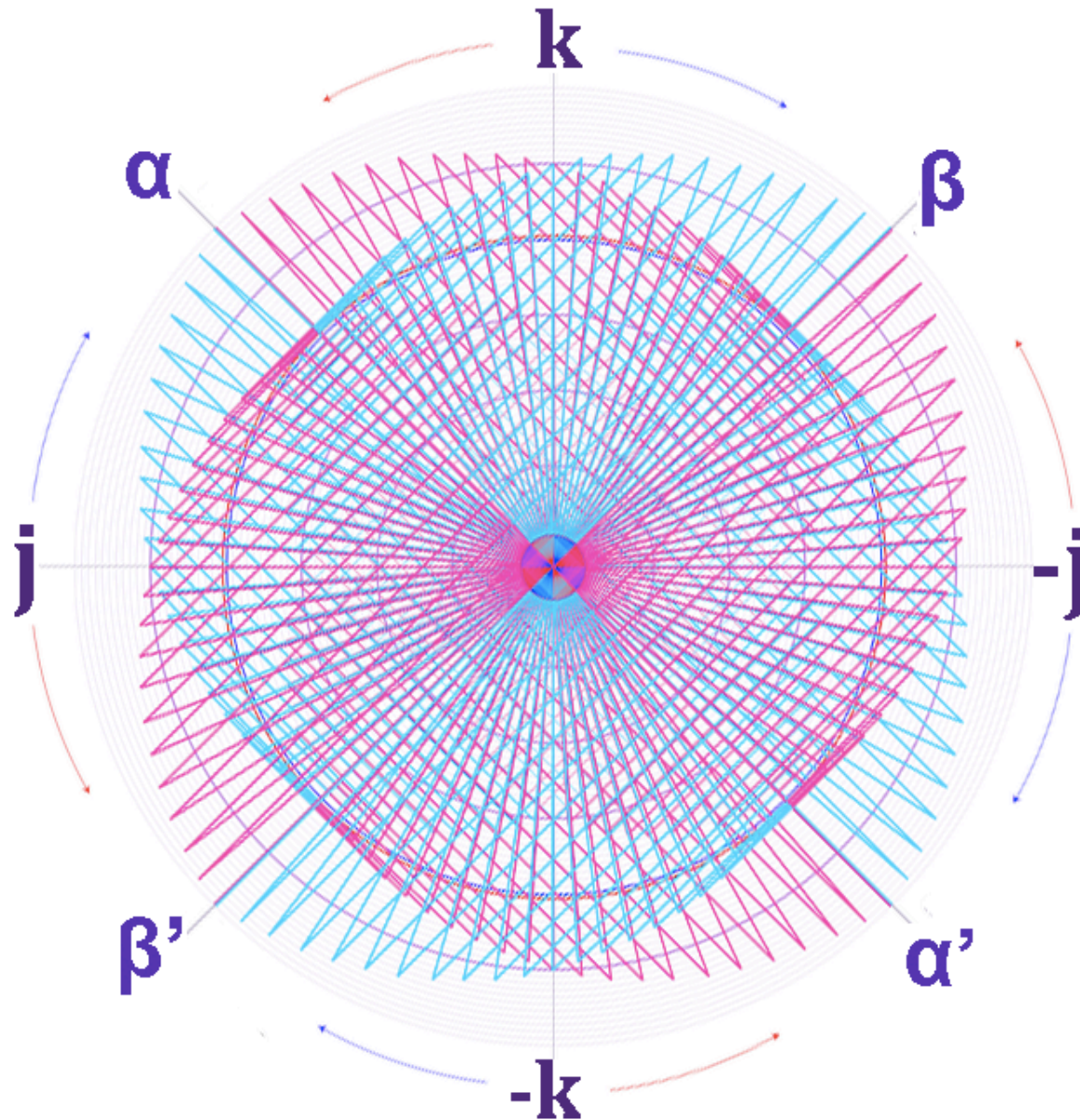
At the end of its first Son Cycle, a Matrix creates a duplicate of itself but with an energy lower about 1 quantum

.

**The photon's wave with 2 Matrix Circles
+ all the first sets of 8 $e^{i\theta}$ triangles in superposition
for each Son Circle (on the right)**



Son Cycles in superposition as created by many Matrices simultaneously



**The new Matrix produces a
Cycle of 179 Son Circles**

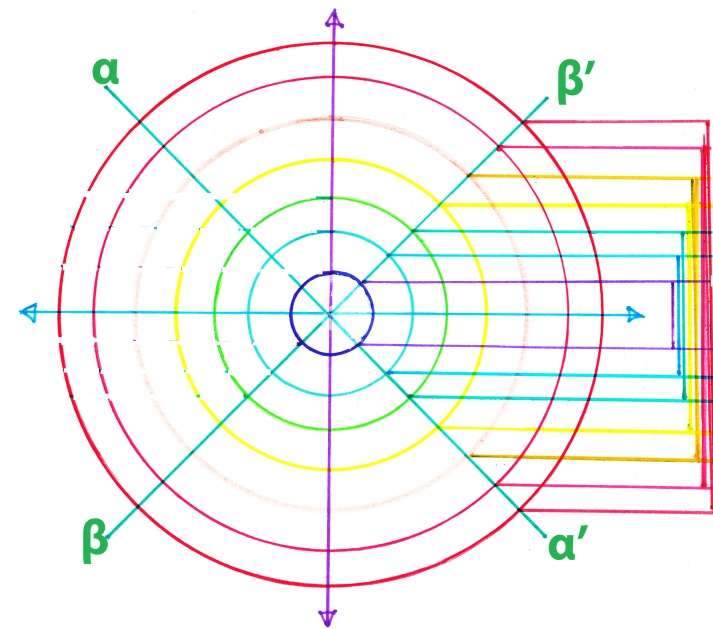
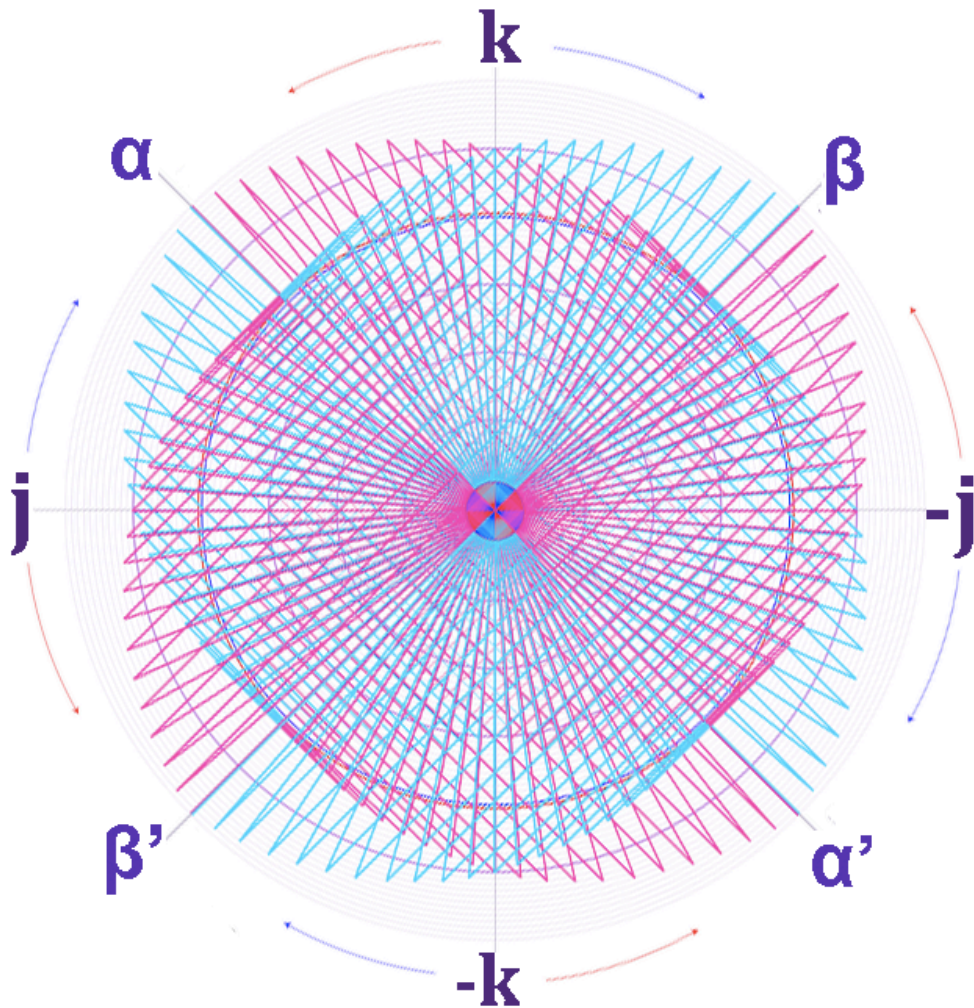
**This new Son Cycle
belongs simultaneously to
both Matrices (1 and 2)**

**At the end of its Cycle the
2nd Matrix creates a 3th
Matrix, and so on...**

**A Son Cycle belongs at the
same time either to the 1st,
the 2nd, the 3rd Matrices and
so on...**

**For the photon's wave
each Son Cycle is in superposed state
= white color**

The electromagnetic spectrum is the property of a photon's wave

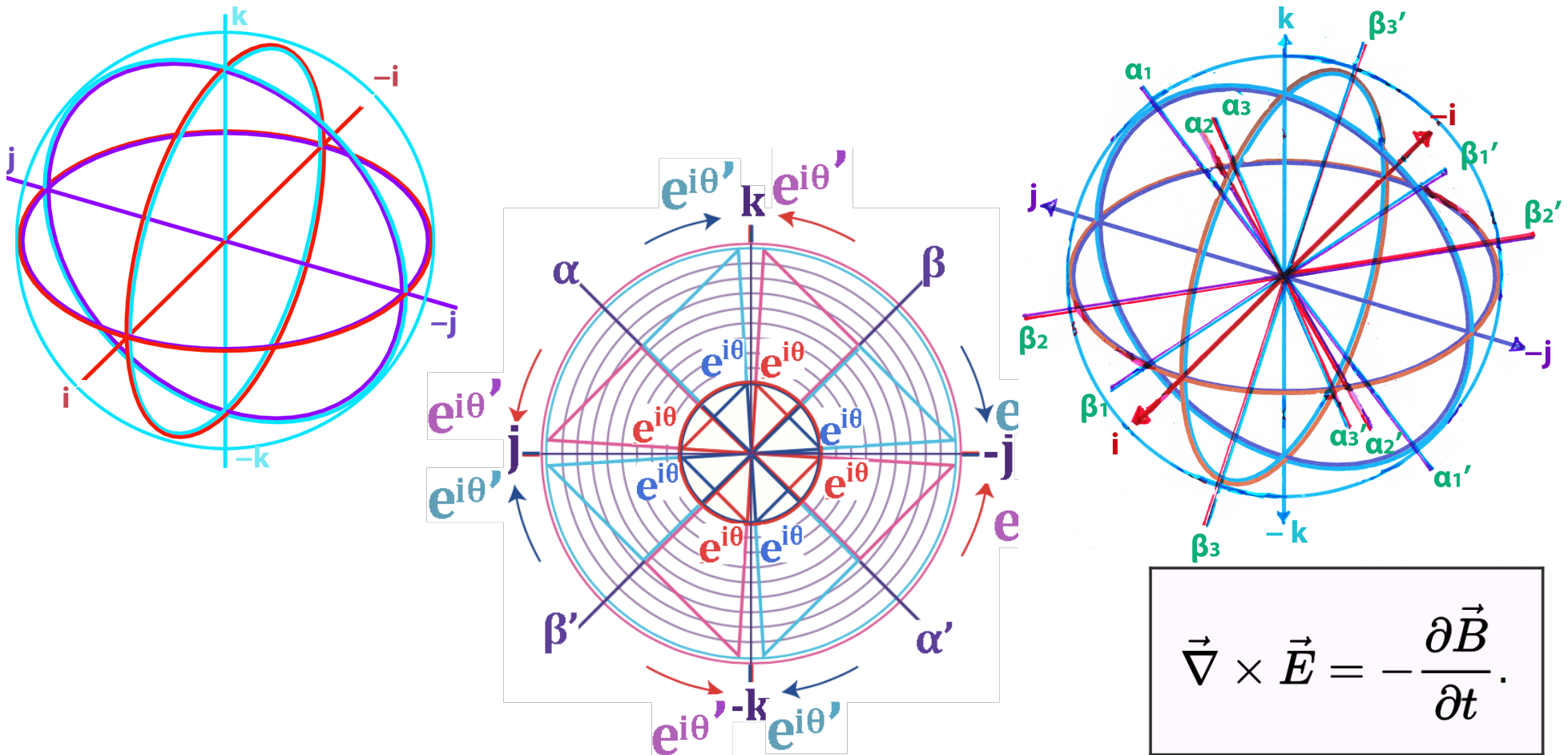


The three-dimensional space

introduces the magnetic pole to the previous electric one
 by pairs of perpendicular circles in opposite rotation
 Each circle is in double way rotation for their 2 sets of $4 e^{i\theta}$

in 3D = 1 Matrix Set = 3 Matrix Circles

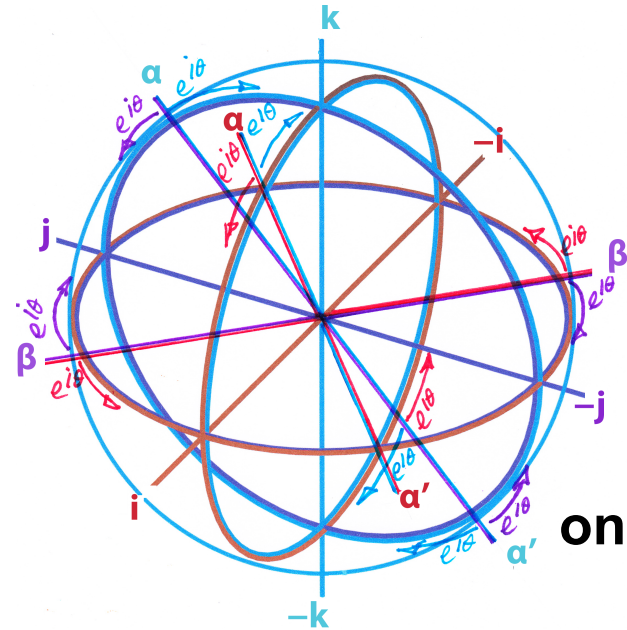
with the same geometry and Son Circles production



An equivalence for the change of sign in Maxwell's wave

$$\vec{\text{rot}}(\vec{E}) = -\frac{\partial \vec{B}}{\partial t}$$

(Maxwell-Faraday)

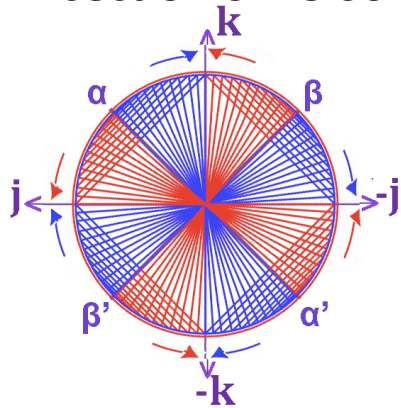


$$\vec{\text{rot}}(\vec{B}) = \mu_0 \vec{J} + \frac{1}{c^2} \frac{\partial \vec{E}}{\partial t}$$

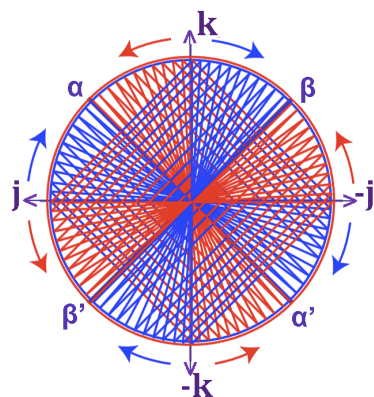
(Maxwell-Ampère)

only 6 pairs of $e^{i\theta}$ to ease

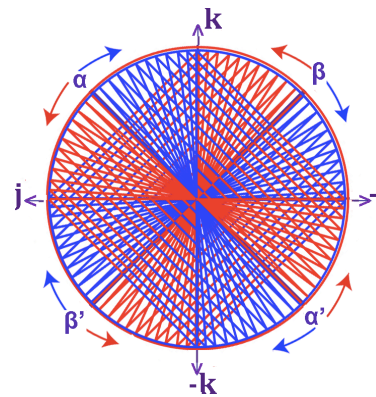
0° to 45°
1st section of 45 Son Circles



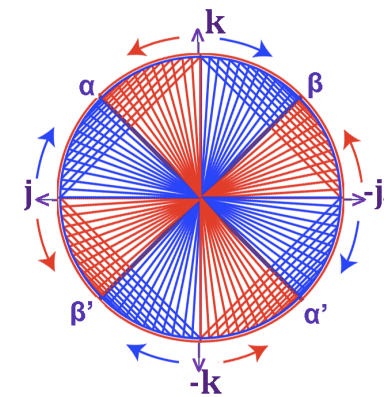
45° to 90°
2nd section of 45



90° to 45°
3rd section of 45



45° to 0°
4th section of 45 Son Circles

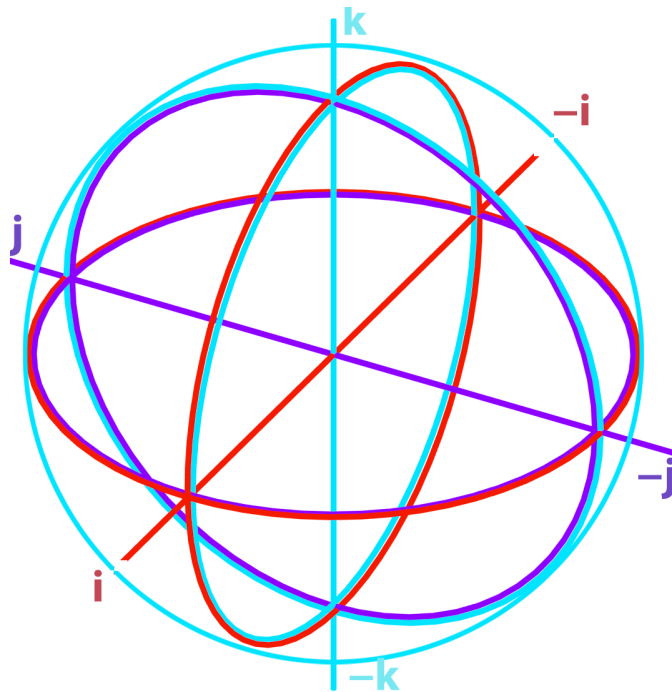


The Fiber Sphere

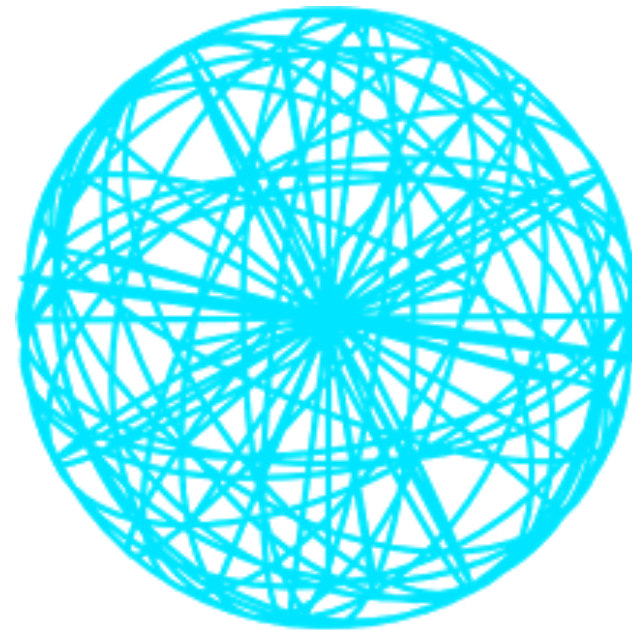
1 Matrix Set = 1 orientation set = 1 Fiber
a Fiber can get any possible orientation in space = the base

The model Fiber X the base = the total space = a Fiber Sphere

The model Matrix Fiber



The Fiber Sphere



A photon's wave 3D evolution

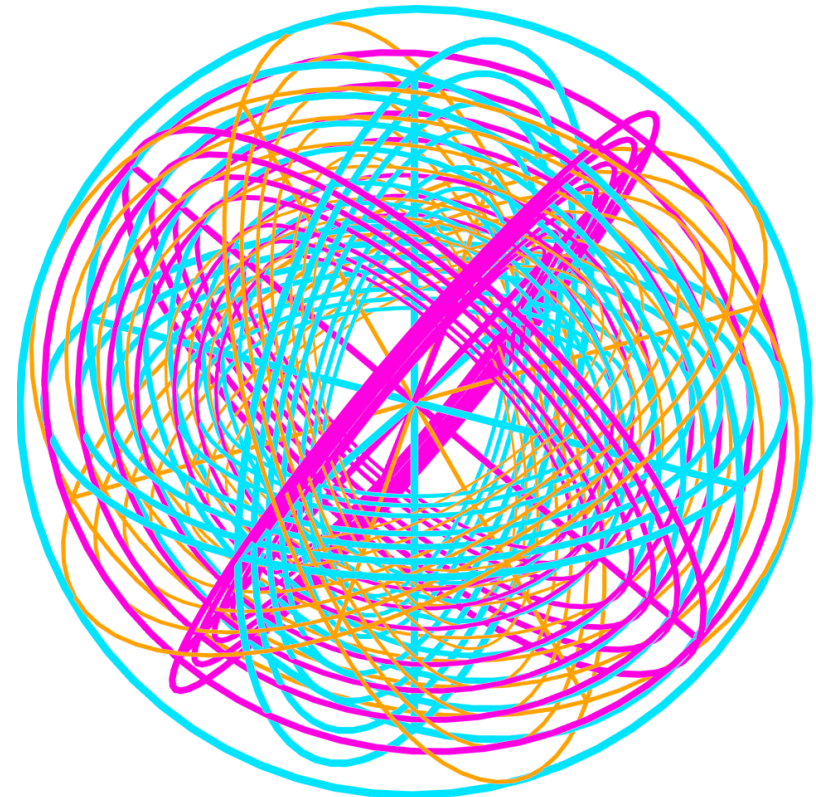
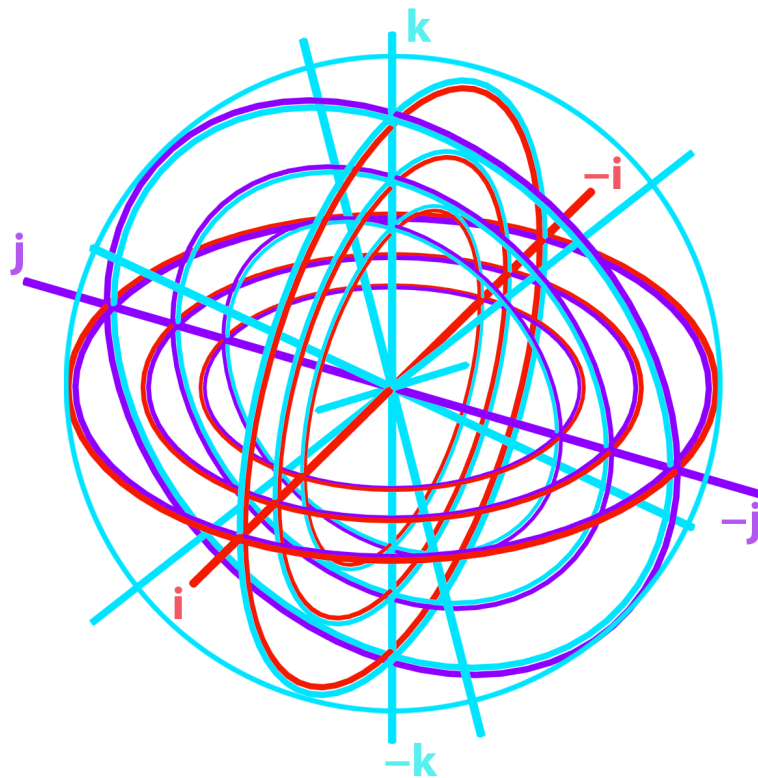
due to opposite forces added to each degree of a Matrix:

Matrix Circle creates concentric Son Circles

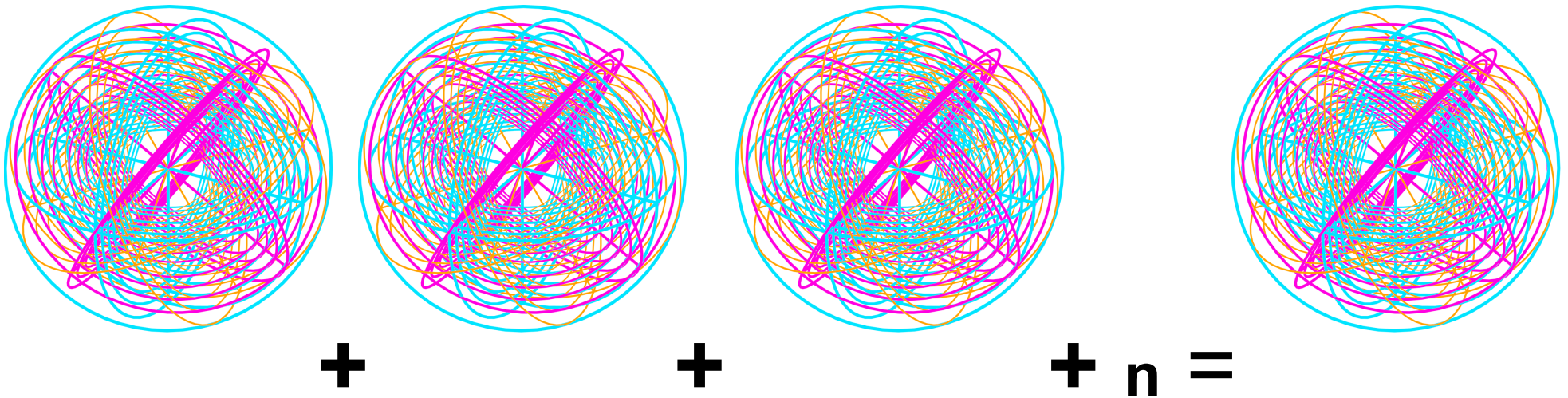
Matrix Fiber creates concentric Son Fibers

Matrix Sphere creates concentric Son Spheres

Here each Sphere = a few circles only to avoid saturation



A collective electromagnetic wave
 =
aggregate sum of its units, photons' waves
 =
a collective wave



Photon/wave A + Photon/wave B + Photon/wave C + n = an electromagnetic Wave

$$\vec{\nabla} \times \vec{E} = -\frac{\partial \vec{B}}{\partial t}$$

$$\vec{\nabla} \times \vec{E} = -\frac{\partial \vec{B}}{\partial t}$$

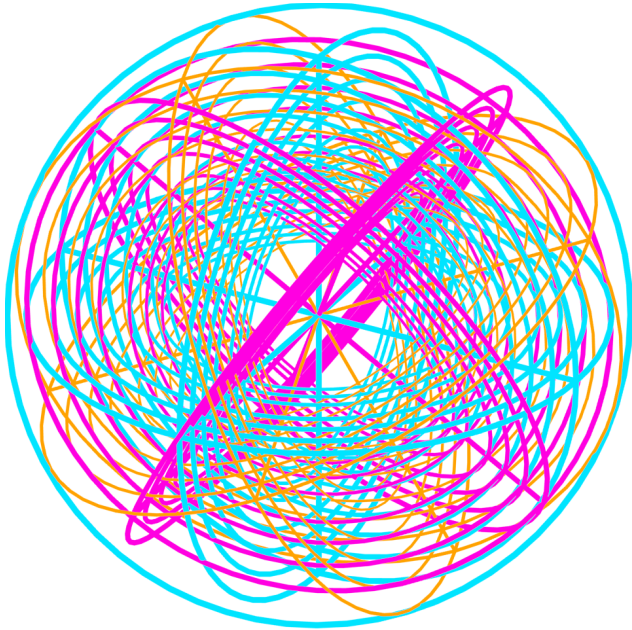
$$\vec{\nabla} \times \vec{E} = -\frac{\partial \vec{B}}{\partial t}$$

$$\vec{\nabla} \times \vec{E} = -\frac{\partial \vec{B}}{\partial t}$$

In perspective with Schrödinger equation in 3D

Dependent of time

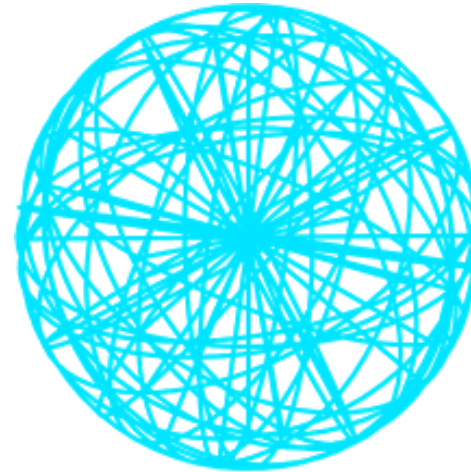
$$H |\psi(t)\rangle = i\hbar \frac{\partial}{\partial t} |\psi(t)\rangle$$



Multiple Son Spheres
= a continuum of time

But Photon has no mass
and no Hamiltonian

1 Sphere = a dot of time



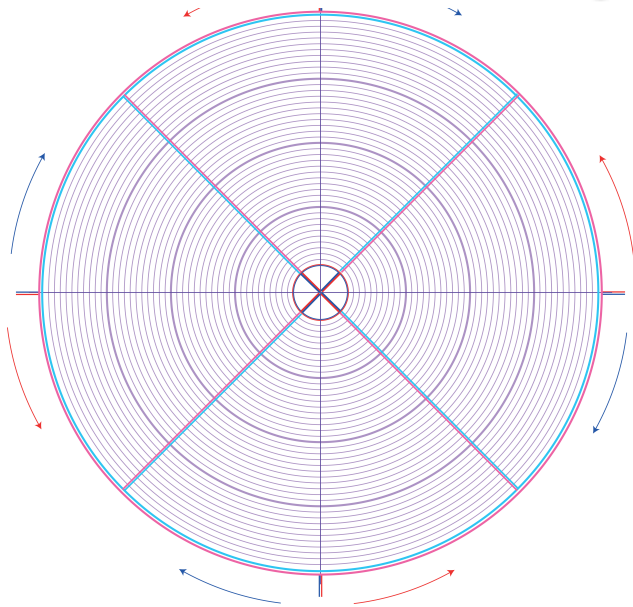
$$H \psi(x) = E \psi(x)$$

Independent of time

In perspective with Schrödinger equation in 2D

Dependent of time

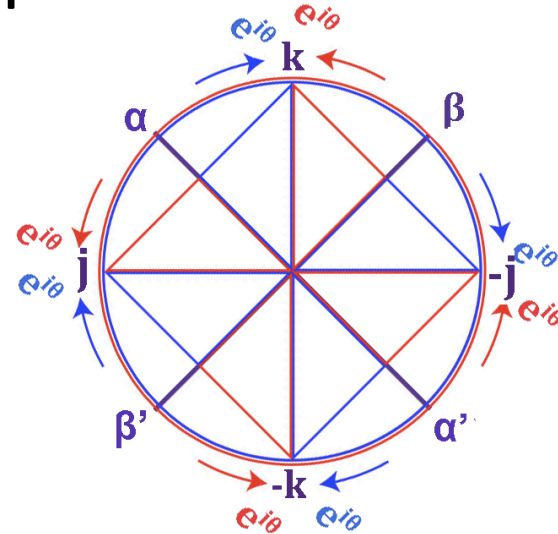
$$H |\psi(t)\rangle = i\hbar \frac{\partial}{\partial t} |\psi(t)\rangle$$



Multiple Son Circles
= a continuum of time

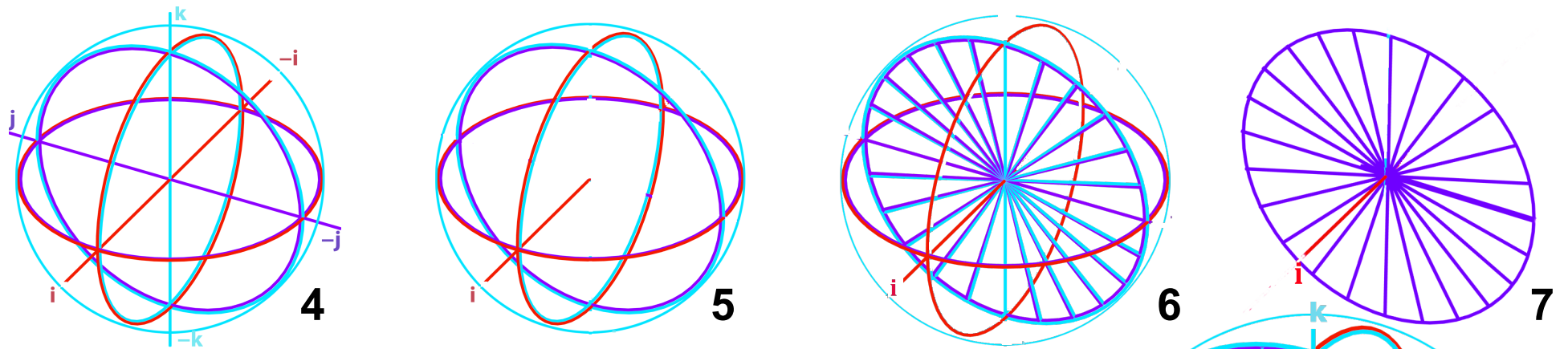
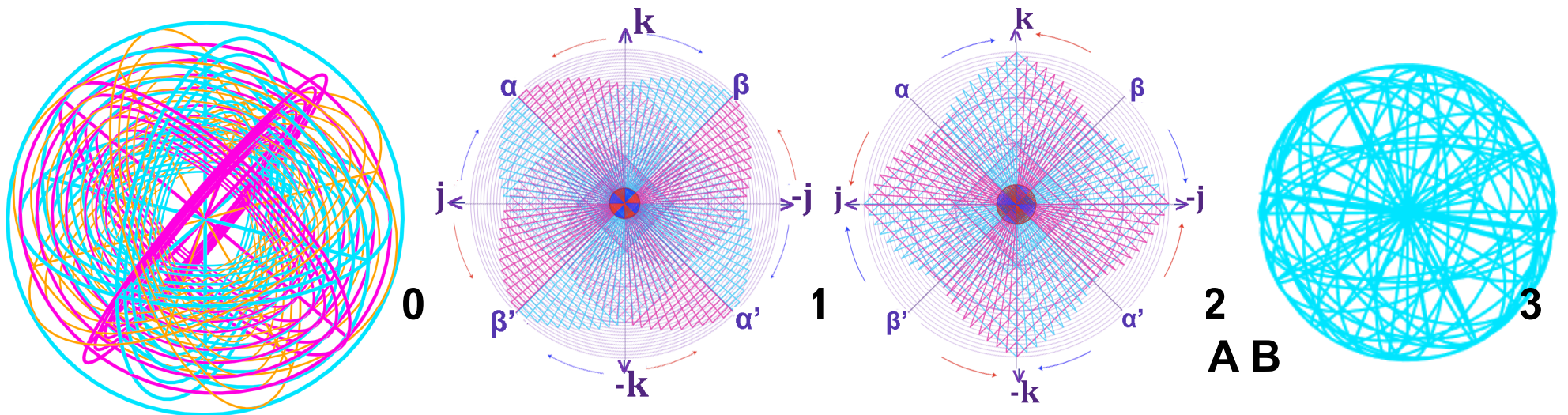
But Photon has no mass
and no Hamiltonian

1 unique Son Circle = a dot of time

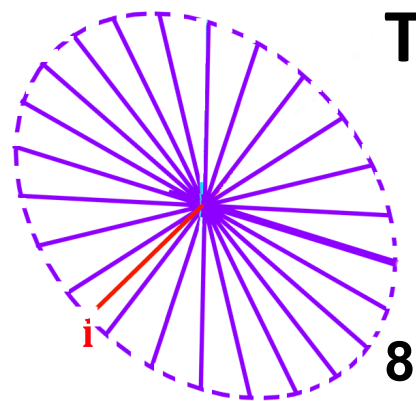


$$H \psi(x) = E \psi(x)$$

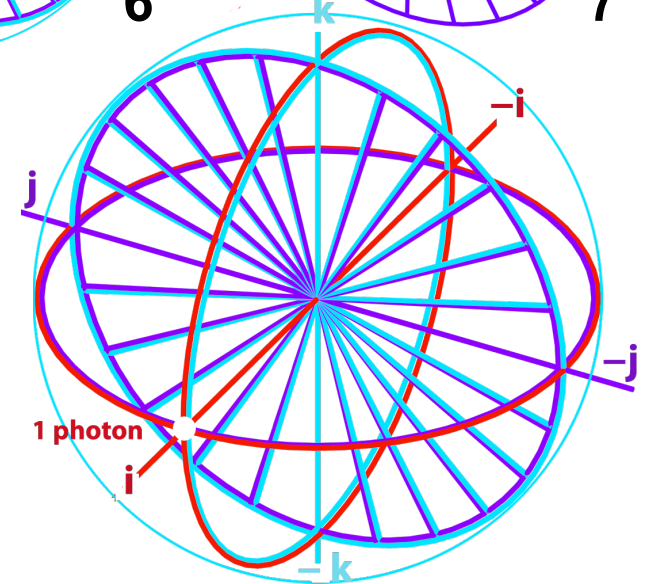
Independent of the flow of time



The collapse wave in 8 steps

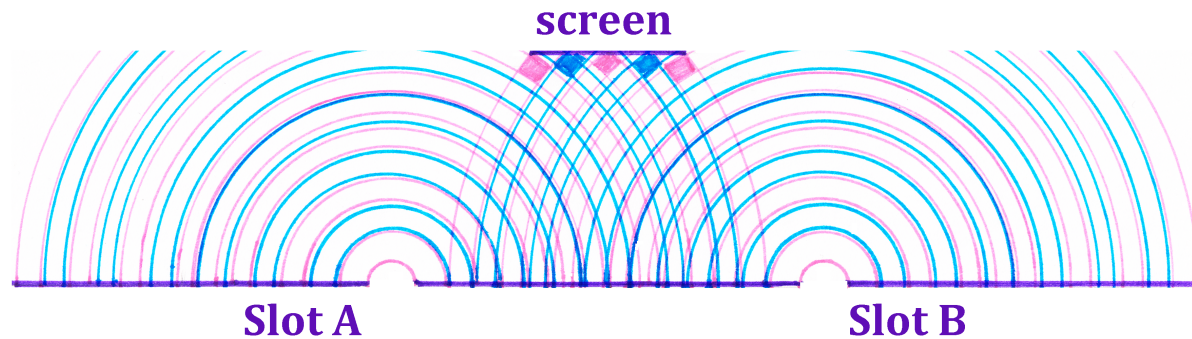


Around this dot the Fiber is half virtual and the Sphere is virtual →



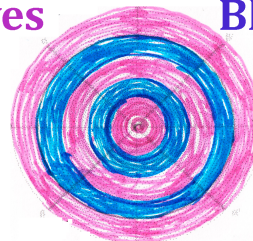
The interference pattern

Geometry collective wave = Geometry Photon's wave
 => no difference if sent simultaneously or one by one



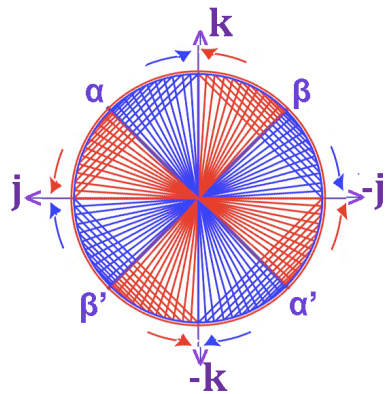
Pink = ascending curves
 = strong force lines

Blue = descending curves
 = weak force lines

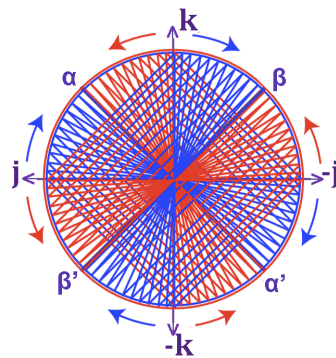


Photon's wave = concentric Spheres

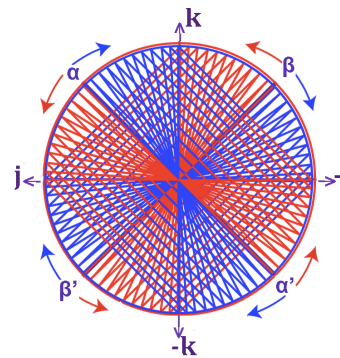
short sine set



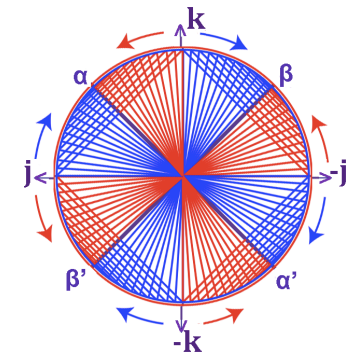
long sine set



long sine set

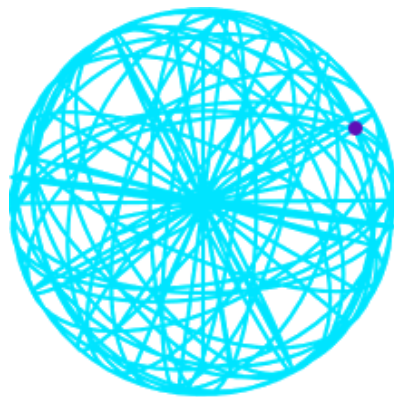


Short sine set



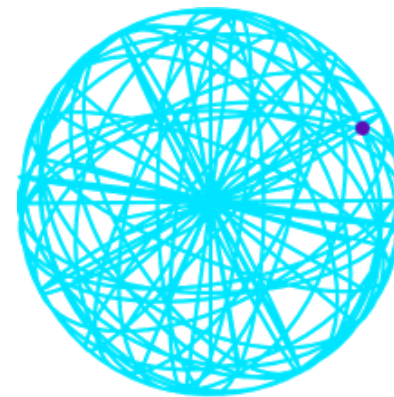
The photon's wave and the collective wave echo each other in regard to their actualized axis or dot photon

1 unit = 1 photon's wave



----- Potentially Actualised spot

Collective wave



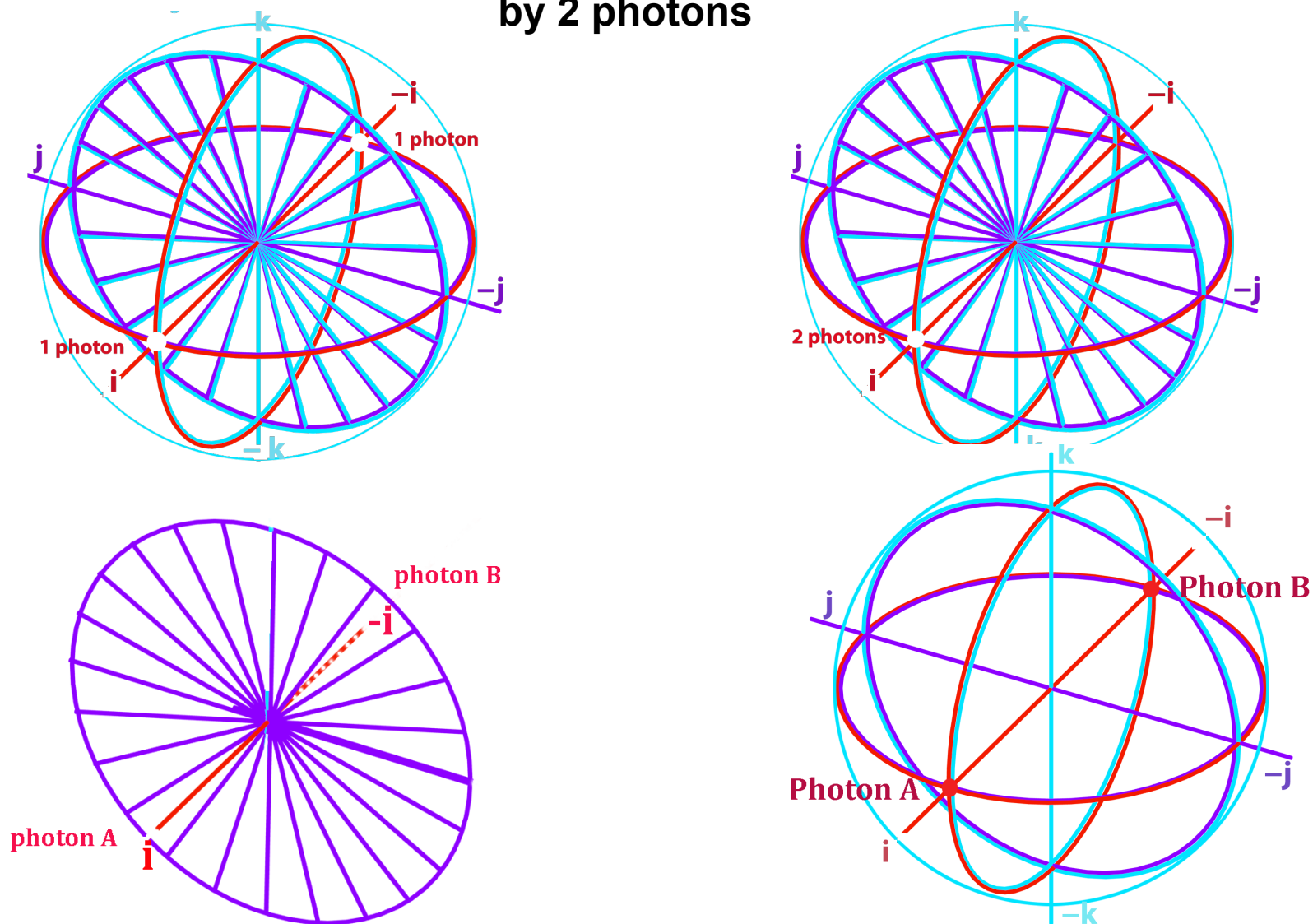
----- Potentially Actualised spot

1 collective axis can be actualized by absorbing the energy of all its units.

When actualized, this axis cannot be actualized by any other photon.

Correlation and Entanglement

Correlation = the sharing of a common diagonal or axis of a collective wave by 2 photons



Entanglement = the sharing of a common diagonal or axis of an individual wave by 2 photons. They rebuild a single Fiber and a single wave with 2 Focuses

To resume

- Electromagnetic wave = aggregate sum of its units
- 1 unit = 1 photon's wave
- A corpuscle photon appears as an actualized dot, wrapped in its half-virtual Fiber and virtual wave.
- Actualization = a single beat of time
- Its wave can start over from the level of the selected Sphere.
- Any Cycle of a chromatic photon's wave is in a superposed state and belongs to many different Matrix Fibers
- The electromagnetic spectrum = photon's wave property

in conclusion

The geometry of collective wave = Geometry of each of its units

This geometry potentially explains:

- The speed invariance of light
- The interference pattern
- The entanglement
- It gives a new perspective on the nature of matter particles
- It potentially unifies Maxwell's wave and Einstein's quantum in a single frame and creates a bridge with Schrödinger equation

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Thank you for your attention