

RICH Particle Identification: performance improvements

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Event selection: $K_{2\pi}$, $K_{\mu 2}$, K_{e3}

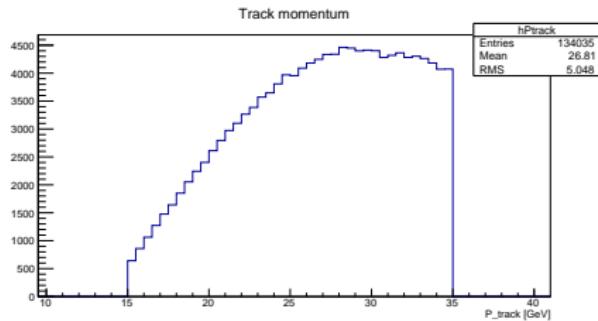
Standard selections and:

- One downstream track
- Momentum range: $15 - 35 \text{ GeV}/c$
- Stricter E/p cuts:
 - muon: $E/p < 0.05$
 - pion: $0.2 < E/p < 0.7$
 - positron: $0.95 < E/p < 1.05$
- CONTROL Trigger
- RICH Ring reconstruction: `TRecoRICHEvent::GetRingCandidate()`
- 1 RICH Ring in time (3 ns) and space (20 mm) coincidence

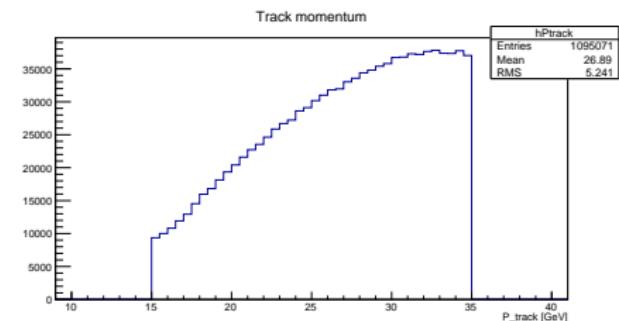
Runs 6501, 6582, 6632, 6656 - r1666

Momentum distributions after the event selections

$K_{2\pi}$



$K_{\mu 2}$



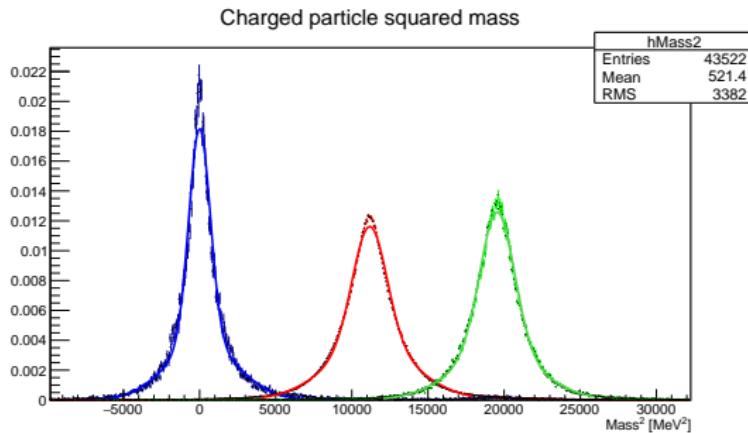
The higher momenta region is more populated than the lower one:
the RICH performances are probably underestimated.

RICH PID: squared mass

$$m^2 = m^2(p, R) = p^2 \cdot \left(\frac{F^2 \cdot n^2}{F^2 + R^2} - 1 \right)$$

$$n = 1.000062, F = 17020 \text{ mm}$$

Fits: *double-Gaussian* functions



χ^2/ndf value:

- positron: 790.229 / 274
- muon: 2938.47 / 274
- pion: 615.108 / 274

RICH PID: probability density functions

- Fits: *double-Gaussian* functions
- Analytical functions for the m^2 are known a priori
- Three Probability Density Functions for the m^2 , one for each particle:

$$f_e(x), f_\mu(x), f_\pi(x)$$

- Identification Probability for a certain value x of the m^2 :

$$P_i(x) = \frac{f_i(x)}{\sum f_i(x)} ; i = e, \mu, \pi$$

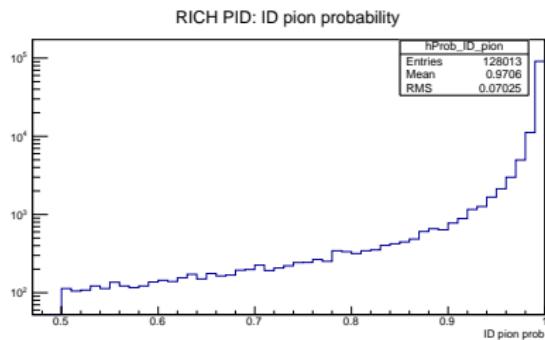
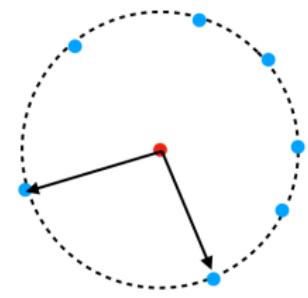
- The particle can be identified as the one with highest Probability value

RICH PID: ideas

Adding more information (and cuts)
depending on the PID-probability
value:

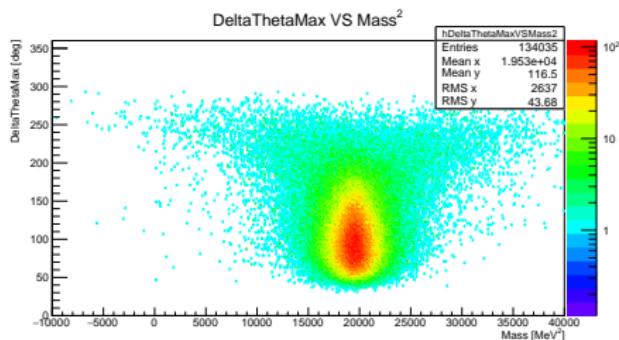
- $\Delta\Phi_{max}$
- ring fit χ^2
- number of ring hits
- ring center from the STRAW
- ...

Introducing less bias, and only if
necessary to improve the PID
performances.

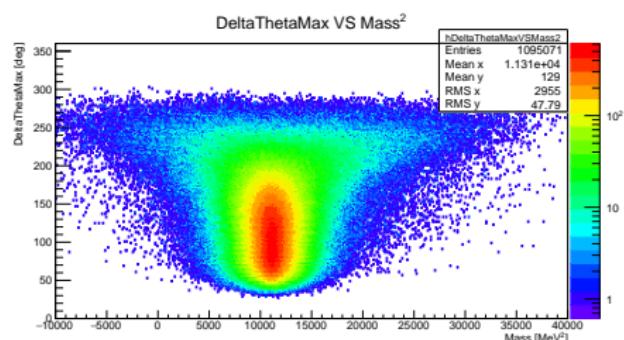


RICH PID and $\Delta\Phi_{max}$

$K_{2\pi}$



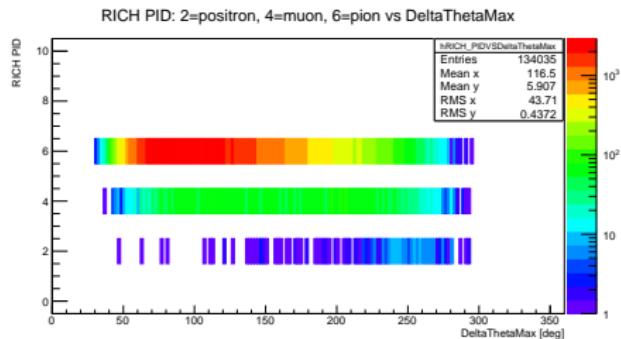
$K_{\mu 2}$



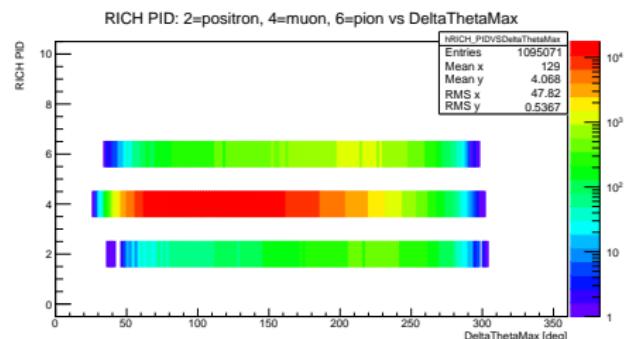
Misidentification probability increases together with $\Delta\Phi_{max}$

RICH PID and $\Delta\Phi_{max}$

$K_{2\pi}$



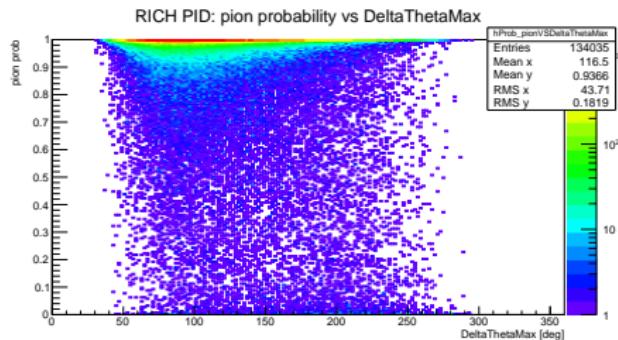
$K_{\mu 2}$



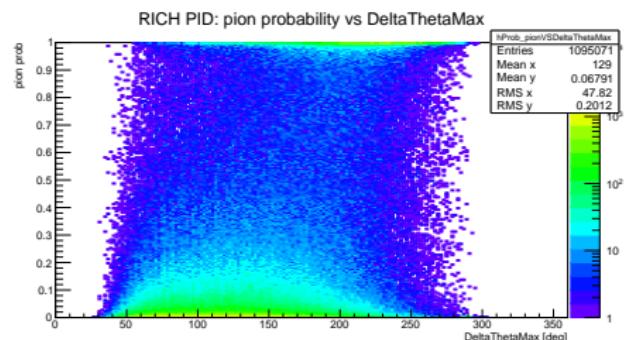
Misidentification probability increases together with $\Delta\Phi_{max}$

RICH PID: $\Delta\Phi_{max}$ and *probability*

$K_{2\pi}$



$K_{\mu 2}$

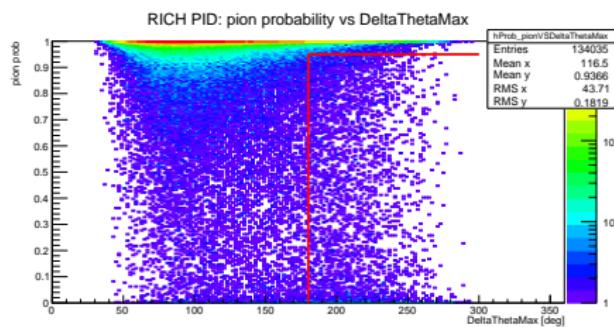


Misidentification probability increases together with $\Delta\Phi_{max}$

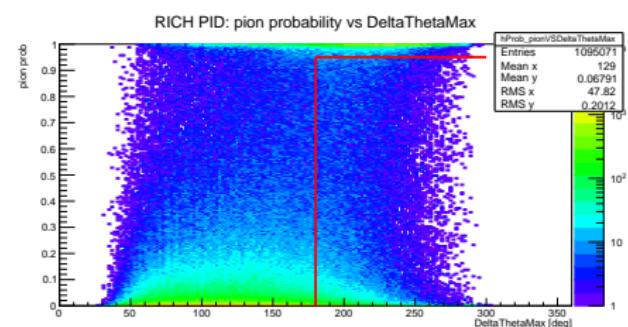
RICH PID: $\Delta\Phi_{max}$ and probability

$$\Delta\Phi_{max} < 180^\circ \text{ or } \text{Prob}(\pi) > 0.95$$

$K_{2\pi}$



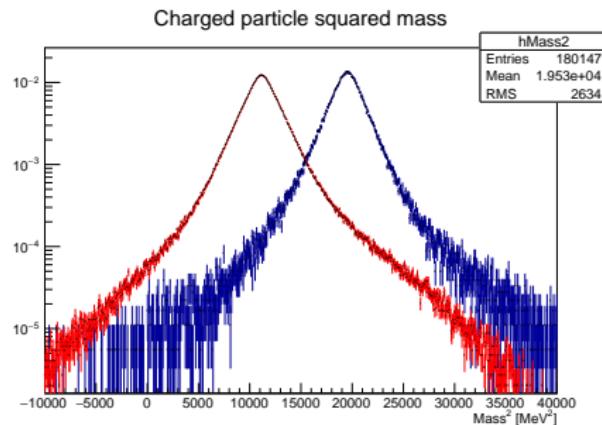
$K_{\mu 2}$



Misidentification probability increases together with $\Delta\Phi_{max}$

Measurement of the $\pi - \mu$ separation

- 1st method: counting the number of events that pass all the cuts with respect to all the events in the selected samples
 - sensible to the background in the selected sample
- 2nd method: calculating the integral of the analytical functions fitted on the m^2 distributions
 - errors introduced by the fit algorithm and the extrapolation

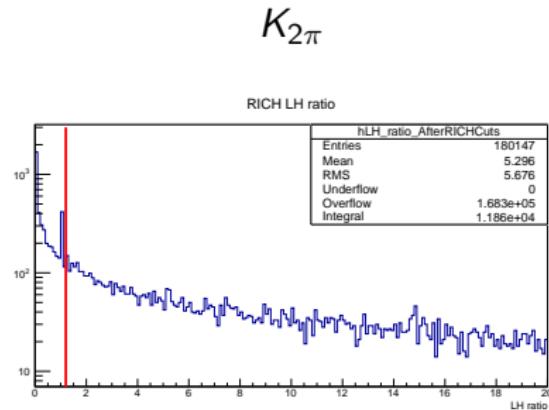


The results of the two methods do not agree

Comparison with the likelihood method

Muon contamination
for 90% of pion efficiency

SEPARATION CUTS	$\epsilon(\mu)$
M^2	0.0317 ± 0.0001
M^2 $LH_{ratio} > 1.2$	0.00394 ± 0.00005
M^2 $\Delta\phi_{max} < 180^\circ$ or $Prob(\pi) > 0.95$	0.0286 ± 0.0001
M^2 $LH_{ratio} > 1.2$ $\Delta\phi_{max} < 180^\circ$ or $Prob(\pi) > 0.95$	0.00398 ± 0.00005



$$LH_{ratio} = \frac{LH(\pi)}{\max[LH(\mu), LH(e)]}$$

Conclusion and Outlook

- Improvements on RICH PID performances could be performed, adding the two quantities:
 - PID probability,
 - $\Delta\Phi_{max}$.
- *To do* list:
 - Studing the bias introduced by the event selections and the residual background
 - Studing the differences between the several kinds of way to use the RICH information
 - Understanding how to well measure the $\pi - \mu$ separation
 - Understanding the correlation with other methods (e.g. Likelihood)
 - Moving to the 2017 data and the last reprocessing version (waiting for the *CONTROL trigger* filter).