Anisotropies in ultra-high energy cosmic rays

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A BAM in the Anisotropic Universe—September 2018

i) Ultra-high energy cosmic rays



- Gal/xGal transition?
- Origin of the ankle?
- Origin of the UHE steepening?
- Composition at UHE?
- Sources?

NB: From neutrinos/photons upper limits, the bulk of UHECRs are accelerated particles in astrophysical objects

The GZK cutoff



Same phenomenon with nuclei (photo-disintegration)

 \Rightarrow Sudden reduction of the CR horizon at UHE

Energy spectrum/Mass composition



- Intermediate/heavy nuclei at ultra-high energies
- Interplay between maximum acceleration energy and GZK cutoff?

Magnetic deflections



ii) Large-scale anisotropies at the Auger Observatory

First harmonic in right ascension

• Control of the event rate/directional exposure in right ascension

➡ Fourier expansion of the intensity



• Detection at >5 σ (accounting for the null results in other energy ranges)

Interpretation in terms of a dipole

 Additional first harmonic analysis in local azimuth sensitive to the dipole component along the Earth axis



Galactic origin?

• Direction of the dipolar component of the intensity for a Galactic origin



Extragalactic origin



➡ Dipole at the entrance of the Galaxy not 'destroyed' by the GMF (JF12 model here)



Higher-order multipoles?

- Dipole moment following from extragalactic matter
- Higher order multipole signatures to constrain further models?



→ Measurement of high-order multipoles/angular power spectrum?

iii) Multipole analysis with partial-sky coverage

Beyond the dipole moment?

• Multipolar moment as seen through the coverage:

$$b_{\ell m} = \int_{\Delta\Omega} d\Omega_{\mathbf{n}} \, \tilde{\omega}(\mathbf{n}, \Delta E) \Phi(\mathbf{n}) \, Y_{\ell m}(\mathbf{n})$$

$$= \sum_{\ell' \ge 0} \sum_{m' = -\ell'}^{\ell'} a_{\ell' m'} \int_{\Delta\Omega} d\Omega_{\mathbf{n}} \, \tilde{\omega}(\mathbf{n}, \Delta E) \, Y_{\ell' m'}(\mathbf{n}) \, Y_{\ell m}(\mathbf{n}).$$

• Recovering coefficients if $\Phi(\mathbf{n})$ bounded to ℓ_{\max} :

$$\overline{a}_{\ell m} = \sum_{\ell'=0}^{\ell_{\max}} \sum_{m'=-\ell'}^{\ell'} [K_{\ell_{\max}}^{-1}]_{\ell m}^{\ell' m'} \overline{b}_{\ell' m'}.$$

▶ *BUT* exponential degradation of the resolution each time the bound is incremented by 1:



Angular power spectrum—stationarity

⇒ if $\langle \phi(n) \rangle = 0$ and $\langle \phi(n) \phi(n') \rangle = \xi(n.n')$, then it can be shown that

$$\langle C_{\ell}^{\exp} \rangle = \sum_{\ell'} M_{\ell\ell'}^{-1} \langle \tilde{C}_{\ell'} \rangle = C_{\ell} + \frac{4\pi}{N} \frac{f_1^2}{f_2}.$$
 «Poisson» noise term estimated as in the case of full-sky coverage

Hypothesis: Stationarity



Under stationarity assumptions, no signal beyond the dipole moment

iv) Multipole analysis with full-sky coverage

(Last update: ICRC 2015)

Auger+TA: full-sky coverage with full efficiency >10 EeV, *but*...



Intensity in the common band



• Aim: guarantee the same intensity in the common field of view

- If anisotropies, possible distortions by the directional exposure functions
- Remove distortions induced from different directional exposures in case of anisotropies:

$$J_{1/\omega}(E) = \frac{1}{\Delta \Omega \Delta E} \sum_{i=1}^{N} \frac{1}{\omega(\delta_i)}$$

Tune the energy scale to get $\mathcal{J}_{Auger}(>E) = \mathcal{J}_{TA}(>E)$ in the common f.o.v.

Performances



Full-sky map



Dipole/Quadrupole moments

$$\Phi(\mathbf{n}) = \frac{\Phi_0}{4\pi} \left(1 + r \, \mathbf{d} \cdot \mathbf{n} + \lambda_+ (\mathbf{q}_+ \cdot \mathbf{n})^2 + \lambda_0 (\mathbf{q}_0 \cdot \mathbf{n})^2 + \lambda_- (\mathbf{q}_- \cdot \mathbf{n})^2 + \cdots \right)$$



10⁻² Power Spectrum 99% CL isotropy 10⁻³ **10**⁻⁴ 2 Ś 5 7 8 9 10 11 12 13 14 15 16 17 18 19 20 4 6 1 Moment

Angular power spectrum

v) The highest energies

Searches for hot spots



- Scan on energy threshold *E* and circular window radius Ψ to compute the obs/exp number of events
- 4.3 σ for E > 54 EeV and $\Psi = 12^{\circ}$
- Post-trial p-value: 69%



- 134 events >57 EeV, 34 within the 25° window (13.5 exp.)
- Post-trial significance: $P \sim 1.0 \ 10^{-3} \ (3.0\sigma)$

Selection of *non-thermal* sources





Selected from the 2FHL catalog (*Fermi*-LAT, >50 GeV), within 250 Mpc [Ackermann *et al.*, 2016] (leptonic processes preferred) Selected from *Fermi*-LAT search list (HCN survey) within 250 Mpc, with radio flux>0.3 Jy [Gao & Salomon, 2005] (hadronic processes preferred)

Assumption: UHECR flux ∝ non-thermal photon flux

 Reasonable for UHECRs and gamma rays originating from the same population of sources producing CRs at a similar rate from low energies to the highest ones, CRs which then undergo energy losses in calorimetric environments

Test statistics of alternative vs null

Luminosity distribution: **non-equal** sources, flux may be dominated by strong local sources

Analysis method: test arrival directions vs **density maps**

null

$$L(-,0) = \Pi_{\text{events}}[\text{exposure}](\mathbf{n}_{\text{i}})$$

alternative

 $L(\vartheta, \alpha) = \prod_{\text{events}} [\text{exposure} \times \text{model}(\vartheta, \alpha)](\mathbf{n}_i)$ $\alpha: \text{ signal fraction}$ $\vartheta: \text{ search radius (no magnetic offset)}$ $\text{model: } [\alpha \times \text{ sources } + (1-\alpha) \times \text{ isotropy}] \otimes \text{Gauss}(\vartheta)$

Test statistics (TS): likelihood ratio

- TS = $2 \ln(L(\vartheta, \alpha)/L(-, 0))$
- Nested hypotheses: TS is χ²-distributed with 2 d.o.f. (2 free parameters ϑ, α)



Best fit and residual maps (through Auger f.o.v.)



Best fit parameters



Starburst Galaxies $f_{ani} = 10\%, \Psi = 13^{\circ}$ TS = 24.9 \implies *p*-value 3.8 × 10⁻⁶

Post-trial probability $3.6 \ge 10^{-5} (\sim 4 \sigma)$ γ-ray detected AGNs $f_{ani} = 7\%, \Psi = 7^{\circ}$ TS = 15.2 \longrightarrow p-value 5.1 × 10⁻⁴

Post-trial probability 3 × 10⁻³ (~ 2.7 σ)

- Best indication to reject isotropy provided by the SBG model
- SBG model also preferred to the AGN one in a direct 'contest'

Auger+TA?



Summary and perspectives

- Ultimate goal: full-sky survey of UHECR patterns in the sky
 - Large scale studies >~10 EeV (beyond the dipole)
 - Over-densities/correlations with xGal matter at UHE



 $E_{\text{TA}} > 10 \text{ EeV} / E_{\text{Auger}} > 8.5 \text{ EeV}$

ApJ 794 (2014) 172

 $E_{\text{TA}} > 57 \text{ EeV} / E_{\text{Auger}} > 42 \text{ EeV}, 20^{\circ}\text{-radius window}$



A. Di Matteo, UHECR2016

Extragalactic gamma-ray background

Extragalactic γ -ray background dominated by 2 types of sources:



UHECR source candidates: requirement on power

- >1 EeV, energy production rate close to 10⁴⁵ erg Mpc⁻³ yr⁻¹
- Both local SBGs & γAGNs match this requirement

- γAGNs: For a jet with a relativistic bulk motion, UHECRs emitted isotropically in the bulk frame would appear to be coming out in the jet direction in our cosmic reference frame.
- SBGs: high gamma-ray luminosity thought to be due to intense starburst episodes possibly triggered by galaxy mergers; could harbor with an increased rate cataclysmic events associated with the deaths of short-lived, massive stars, such as gamma-ray bursts, hypernovæ, and magnetars



Catalog of star-forming galaxies

GeV—**TeV** observations

- TeV: M 82 (0.9% Crab), NGC 253 (0.2% Crab), NGC 4945 Ø, NGC 1068 (<5%), M 83 (<2%)
- GeV: M 82, NGC 253, NCG 4945, NGC 1068 firmly detected. GeV/FIR/radio correlation
- ➡ Flux at 1.4 GHz used as a **proxy** for the UHECR flux

Model Flux Map - Starburst galaxies - E > 39 EeV





Selected catalog

- ApJ 755, 164 (2012)
- Cut @ 0.3 Jy to maximize the completeness
- Cut that matches a ~200 Mpc GZK horizon: take the most luminous source in the sample, place it as far away as you can to detect it above 0.3 Jy \rightarrow 173 Mpc
- 23 brightest (/63) ~80% of total flux

Control of the event rate

- ▶ Auger: Full efficiency of detection above 3 EeV
- But effective change of rate due to changes of atm. conditions

Energies corrected by atmospheric changes for θ < 60°</p>

- Air-density Iateral distribution of EM component
- Pressure —> longitudinal depth of observation



Induces modulations of ±1.7% in solar frequency

$$E_{\text{grd}} = (1 + \eta(t))E$$

 $I(E_{\text{grd}})dE_{\text{grd}} = I(E)dE = KE^{-\gamma}dE$

→ Variations prop. to $1+(\gamma-1)\eta(t)$



[Auger Coll. JINST 12 (2017) P02006]

Stationarity? example #1



✓ Stationarity: example #1



Stationarity? example #2



Stationarity? example #2



X Stationarity: example #2

