



New results on Coulomb interaction effects in relativistic heavy ion collisions

<u>O. Ristea</u>, C. Ristea, A. Jipa, I. Lazanu, T. Esanu, M. Calin University of Bucharest, Faculty of Physics

Outline

- Motivation
- > Model and data used
- Results
- Conclusions

Exploring the phase diagram



By changing the energy available in the collision and the projectile-target combinations, one can obtain systems characterized by various T, $\mu_B \rightarrow$ different regions on the phase diagram can be investigated

To transparency:



Coulomb effects on charged pions



Data and theoretical model used

Data:

STAR-BES Au-Au data at $Vs_{NN} = 7.7, 11.5, 19.6, 27$ and 39 GeV (STAR coll., Phys. Rev. C 96 (2017) 44904)

Model*:

- considers the longitudinal Bjorken expansion of the fireball and assumes that on average, a charged pion will receive a momentum change \rightarrow "Coulomb kick", p_c

$$p_c \equiv \left| p_T - p_{T,0} \right| \cong 2e^2 \frac{dN^{\rm ch}}{dy} \frac{1}{R_f}$$

The Coulomb effect can be derived from the p_T spectra, assuming an exponential shape:

$$\frac{dN}{d^2p_{\perp}} = \frac{dN_0}{d^2p_{0,\perp}} \frac{p_{0,\perp}}{p_{\perp}} \quad \text{with} \quad dN/d^2p_{\perp} \propto \exp(-m_{\perp}/T)$$

The charged pion ratio is:

$$\frac{\pi^-}{\pi^+} = \left\langle \frac{\pi^-}{\pi^+} \right\rangle \frac{p_T + p_c}{p_T - p_c} \exp\left(\frac{m_T^- - m_T^+}{T}\right)$$

where T thermal freeze-out temperature, $\langle \Pi^- / \Pi^+ \rangle$ initial pion ratio and $m_T^{\pm} = \sqrt{m^2 + (p_T \pm p_c)^2}$

*H. W. Barz, J. P. Bondorf, J. J. Gaardhøje, and H. Heiselberg, Phys. Rev. C 57 (1998)2536–2546; H. Heiselberg, Nuclear Physics A 638 (1998) 479C

Energy dependence of Coulomb interaction



Centrality dependence





 p_c decreases from central to peripheral collisions for all energies \rightarrow the overlap volume is smaller \rightarrow less positive charge generates a smaller Coulomb field.

$\sqrt{s_{NN}}$ [GeV]	7.7	11.5	19.6
dN ^{ch} /dy (0-5%)	54.5±6.1	42.5±5.3	30.0±4.5

STAR coll., Phys. Rev. C 96 (2017) 44904

Initial pion ratio



At lower beam energies the ratios are larger than unity \rightarrow due to isospin conservation and significant contributions from Δ resonance decays.

As the energy is increasing \rightarrow a change in pion production mechanisms and direct pion pair production dominates

$p_c - R_{\pi}$ correlation



- the two parameters are positively correlated

- the 1- σ contour lines do not overlap for the studied energies

- in peripheral collisions there is a wider range of possible values compared to more central collisions.

Freeze-out radii



$$p_c \equiv \left| p_T - p_{T,0} \right| \cong 2e^2 \frac{dN^{\rm ch}}{dy} \frac{1}{R_f}$$

 The kinetic freeze-out radius decreases from central to peripheral collisions → in a central collision a larger system is formed.

- the open symbols \rightarrow the chemical freeze-out radius based on a thermal model analysis (STAR coll., Phys. Rev. C 96 (2017) 44904)
- solid symbols → kinetic freeze-out radius based on Coulomb interaction model

Conclusions

The Coulomb kick decreases with the increase of beam energy, showing that the Coulomb interaction is stronger at lower energies

For the same energy, the Coulomb interaction is larger in central collisions because there is strong stopping and an important positive net-charge in the central rapidity region.

The Coulomb interaction decreases in peripheral collisions.

➡ The kinetic FO radius is not changing with energy for the energy interval considered and shows an increase from peripheral to central collisions → a larger system in more central collisions.

Backup

The time component of the electromagnetic potential from a moving charge, Q with a velocity , v:

$$\phi(r_{\perp}, t) = A^0 = \frac{Q}{\sqrt{v^2 t^2 + (1 - v^2)r_{\perp}^2}},$$

The electric field is:

$$\mathbf{E}(r_{\perp},t) = -\nabla\phi(r_{\perp},t) = e \int \frac{dN^{ch}}{dy} \frac{\mathbf{r}_{\perp}dv}{(r_{\perp}^2 + v^2(t^2 - r_{\perp}^2))^{3/2}}$$

A charged pion receives a momentum change:

$$p_c \equiv \Delta \mathbf{p}_\perp = \mathbf{p}_\perp - \mathbf{p}_{\perp,0} = \pm e \int_{\tau_f}^\infty \mathbf{E}(r_\perp, t) dt \simeq 2e^2 \frac{dN^{ch}}{dy} \frac{1}{R_f} ,$$

The Coulomb effect can be derived from the transverse particle distributions, assuming an exponential shape:

$$\frac{dN}{d^2p_{\perp}} = \frac{dN_0}{d^2p_{0,\perp}} \frac{p_{0,\perp}}{p_{\perp}} \quad \text{with} \quad dN/d^2p_{\perp} \propto \exp(-m_{\perp}/T)$$

The pion ratio is:

$$\frac{\pi^{-}}{\pi^{+}} = \left\langle \frac{\pi^{-}}{\pi^{+}} \right\rangle \frac{p_{T} + p_{c}}{p_{T} - p_{c}} \exp\left(\frac{m_{T}^{-} - m_{T}^{+}}{T}\right) \text{ with } m_{T}^{\pm} = \sqrt{m^{2} + (p_{T} \pm p_{c})^{2}}$$

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