



# Bounds on Dark Matter Lifetime from the Cosmic Dawn

based on: 1803.11169 with A. Podo



SCUOLA  
NORMALE  
SUPERIORE





# how stable is the Dark Matter?

$$\tau_{\text{DM}} > \text{age of the Universe} \sim 10^{17} \text{ s}$$

can we say more ?

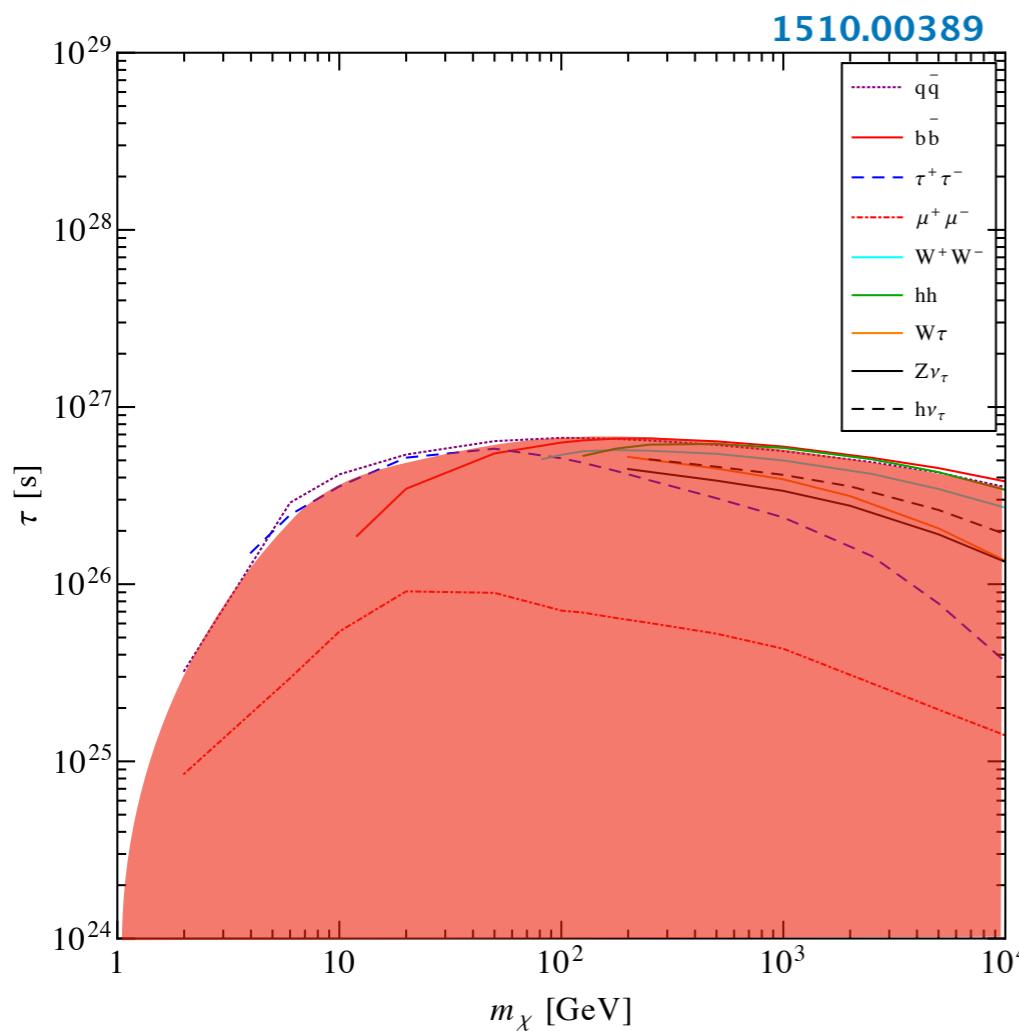


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## Indirect detection



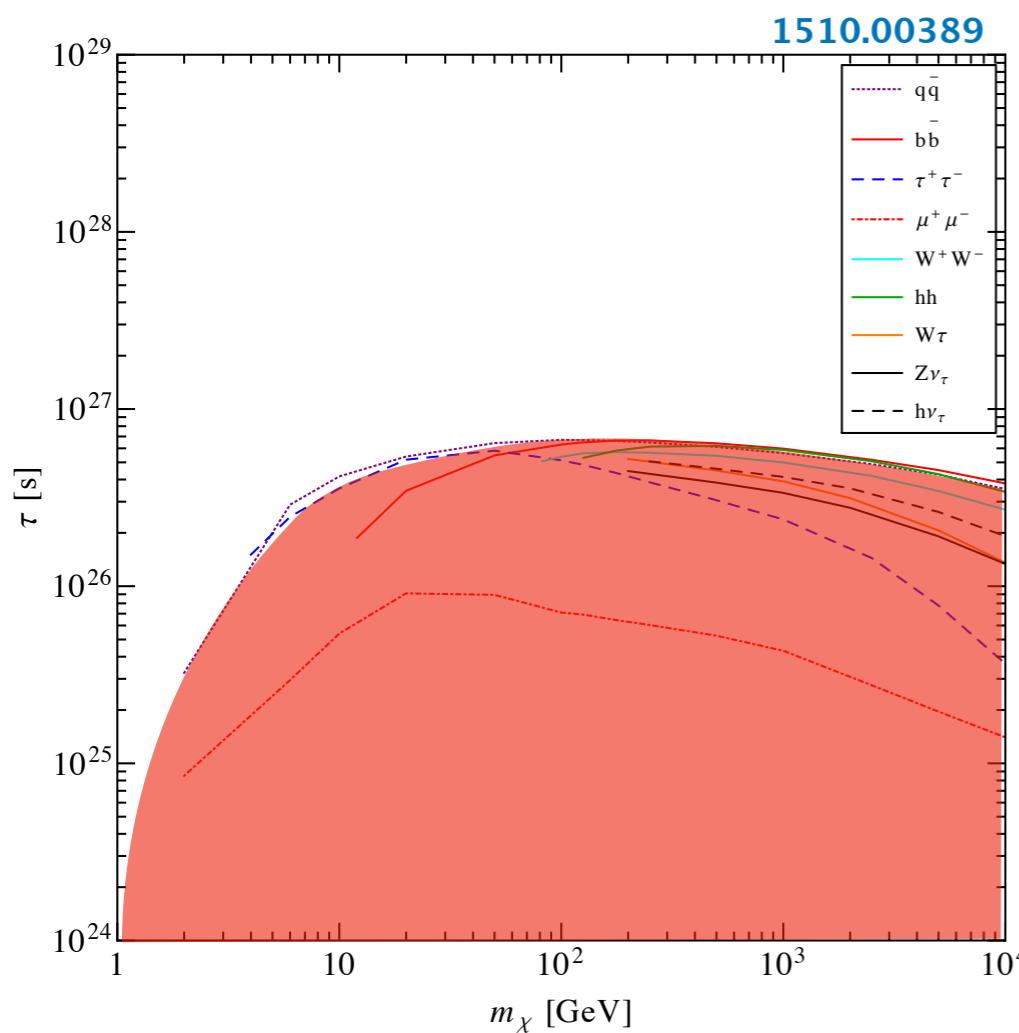


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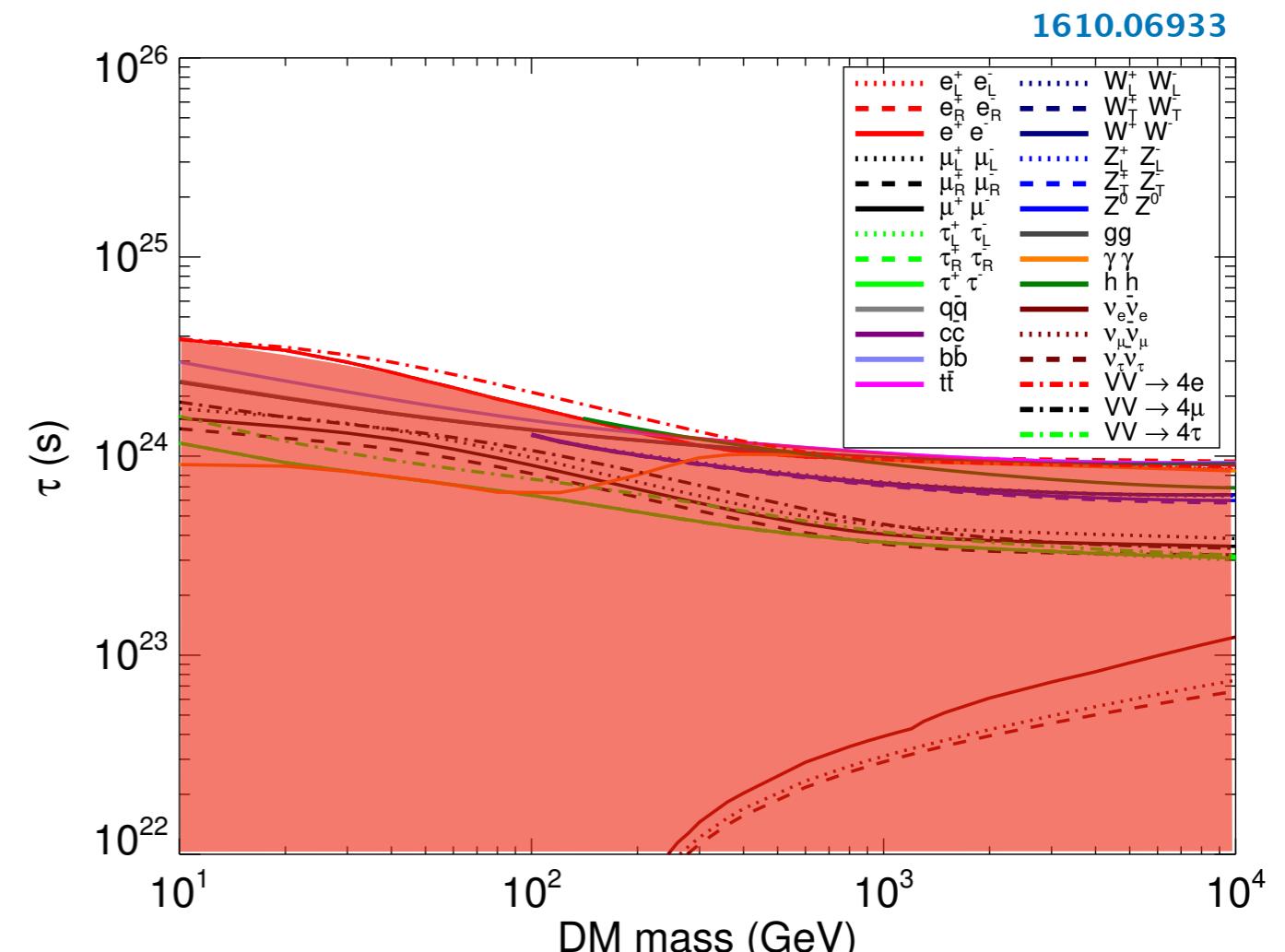
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## Indirect detection



## CMB power spectrum



the 21-cm line revolution has begun

# LETTER

doi:10.1038/nature25792

## An absorption profile centred at 78 megahertz in the sky-averaged spectrum

Judd D. Bowman<sup>1</sup>, Alan E. E. Rogers<sup>2</sup>, Raul A. Monsalve<sup>1,3,4</sup>, Thomas J. Mozdzen<sup>1</sup> & Nivedita Mahesh<sup>1</sup>

What is the 21 cm line

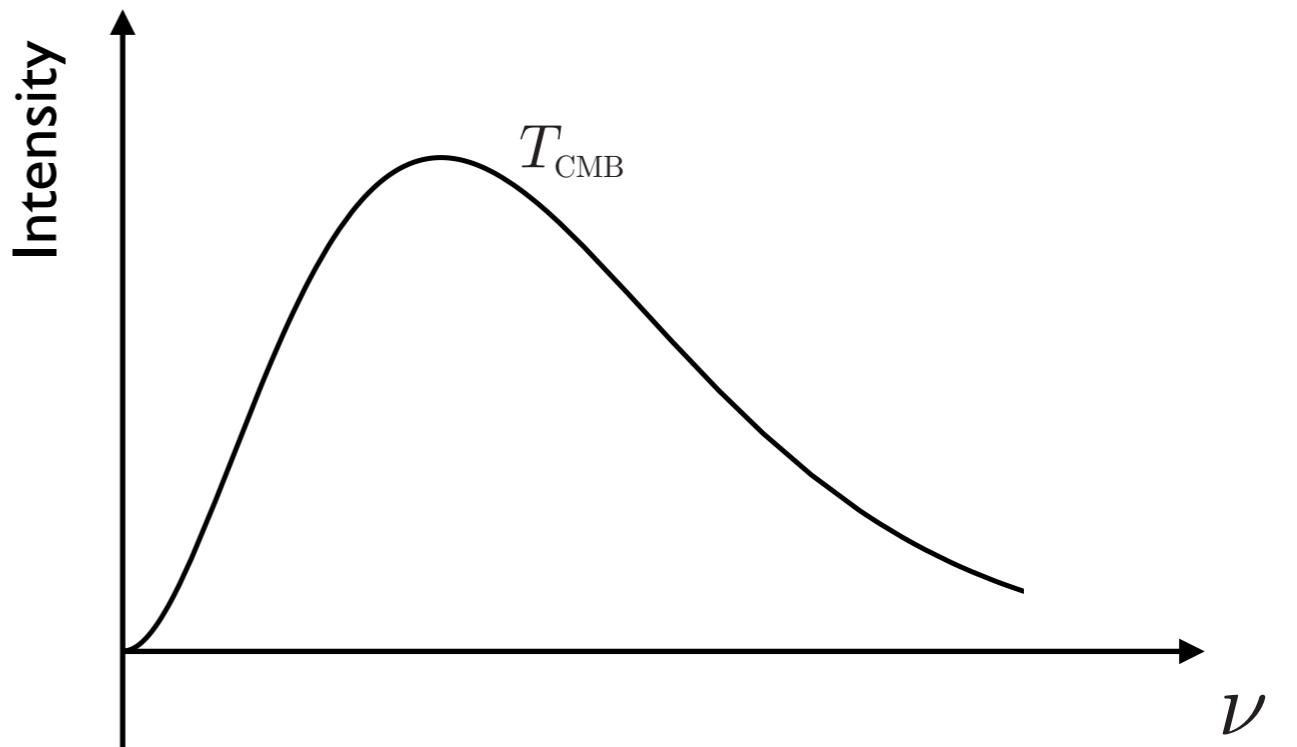


# a good old friend: the CMB

black body radiation emitted near the epoch of electron-proton recombination, i.e.  $z \sim 1100$ , with a **brightness temperature**

$$T_{\text{CMB}} = 2.73(1 + z) \text{ K}$$

$$B_\nu(T_{\text{CMB}}) = \frac{2h\nu^3}{c^2} \frac{1}{e^{\frac{h\nu}{kT_{\text{CMB}}}} - 1}$$



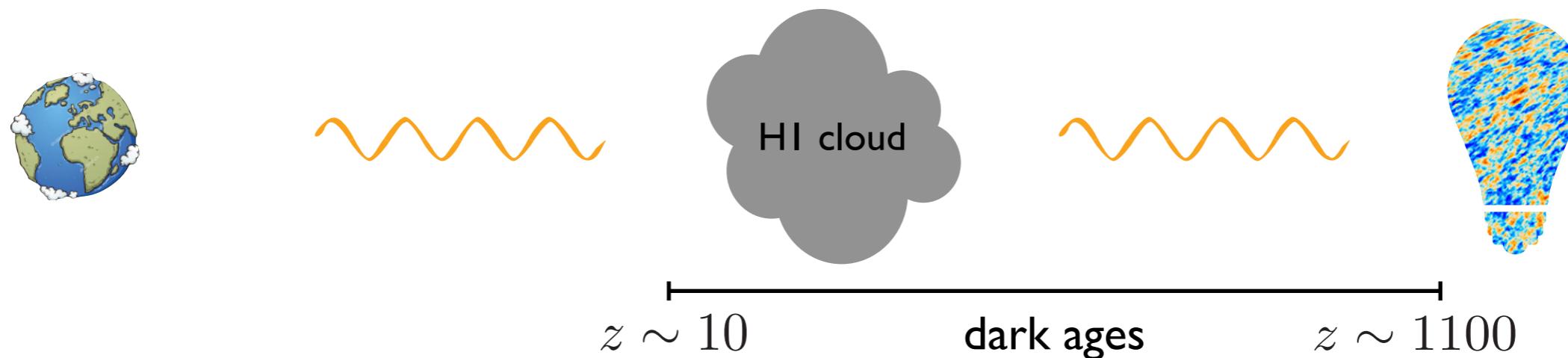


# the CMB journey in the dark ages

after **recombination** and prior **re-ionization**

$$1100 \lesssim z \lesssim 10$$

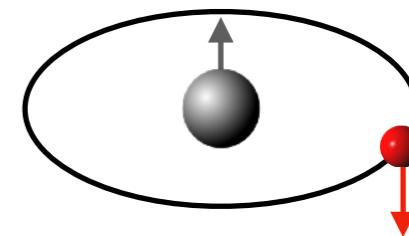
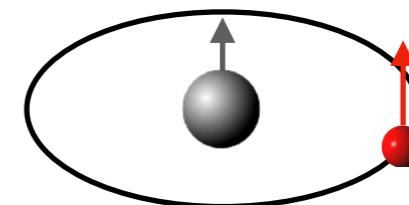
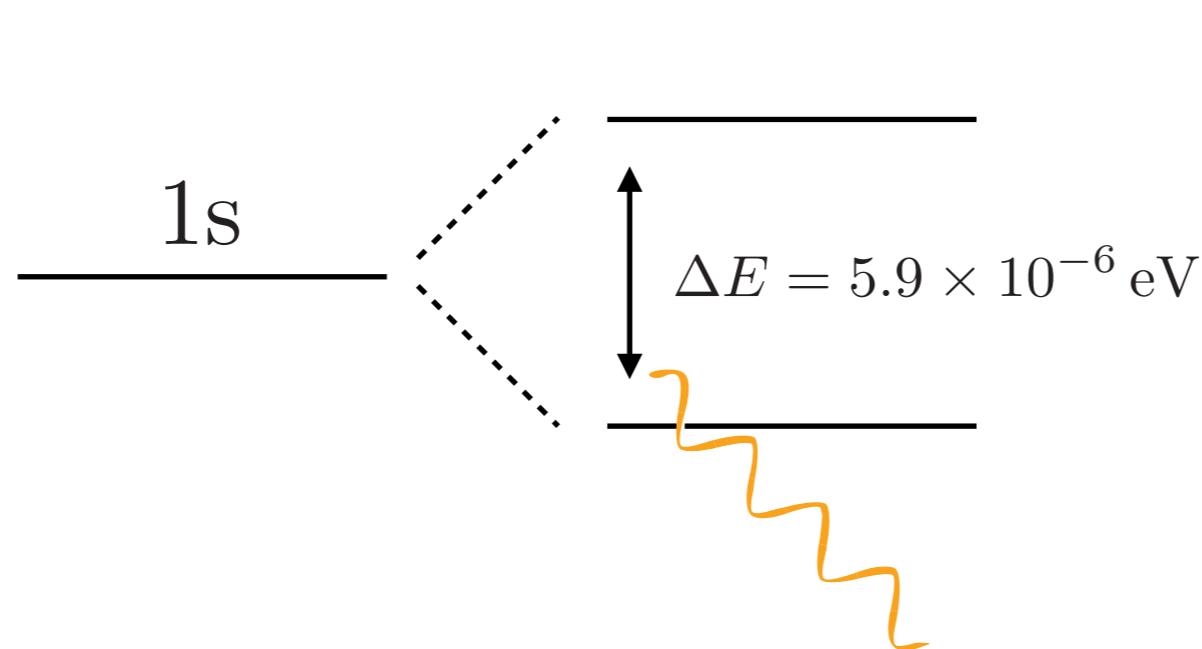
most of the Universe matter is in the form of neutral Hydrogen



how propagation through the dark ages affects the CMB blackbody spectra?



# Hydrogen hyperfine levels



$$\nu = 1420.4057 \text{ MHz}$$

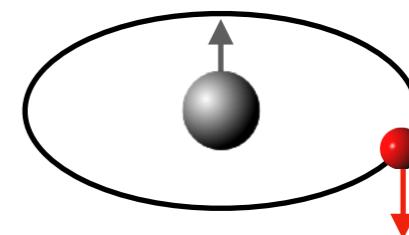
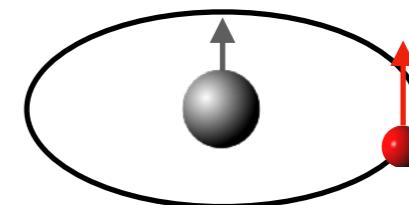
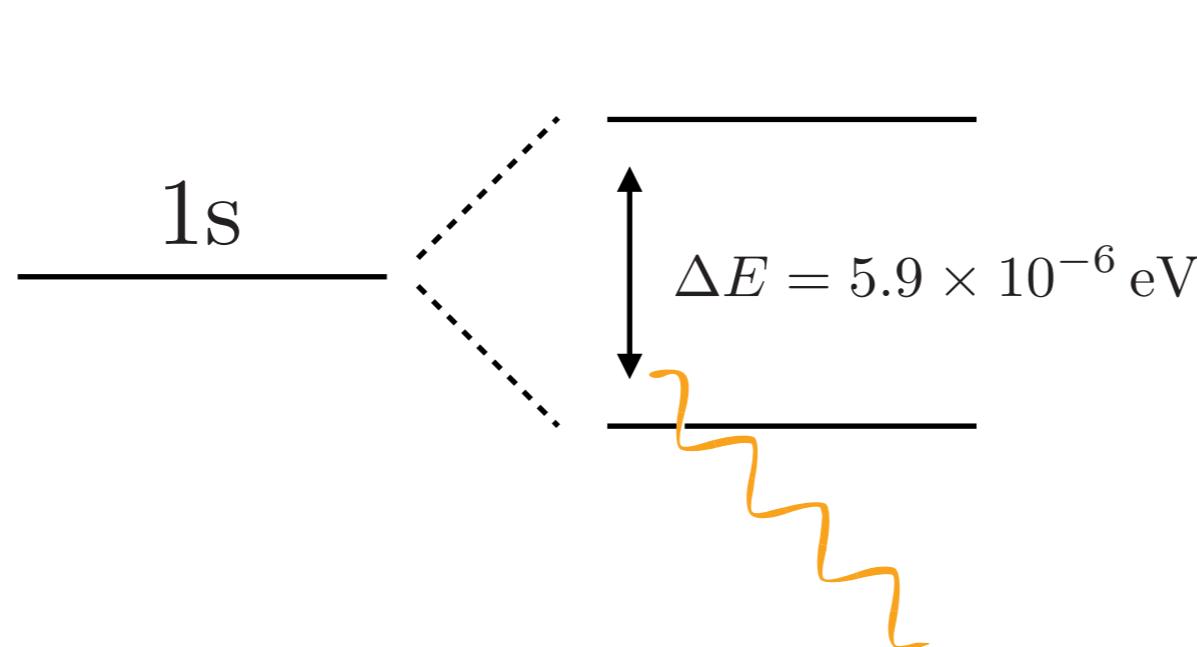
$$\lambda = 21.106144 \text{ cm}$$

relative occupation of the hyperfine levels is parametrized in term of the **spin temperature**

$$\frac{n_1}{n_0} \equiv \frac{g_1}{g_0} e^{-\Delta E/T_S}$$



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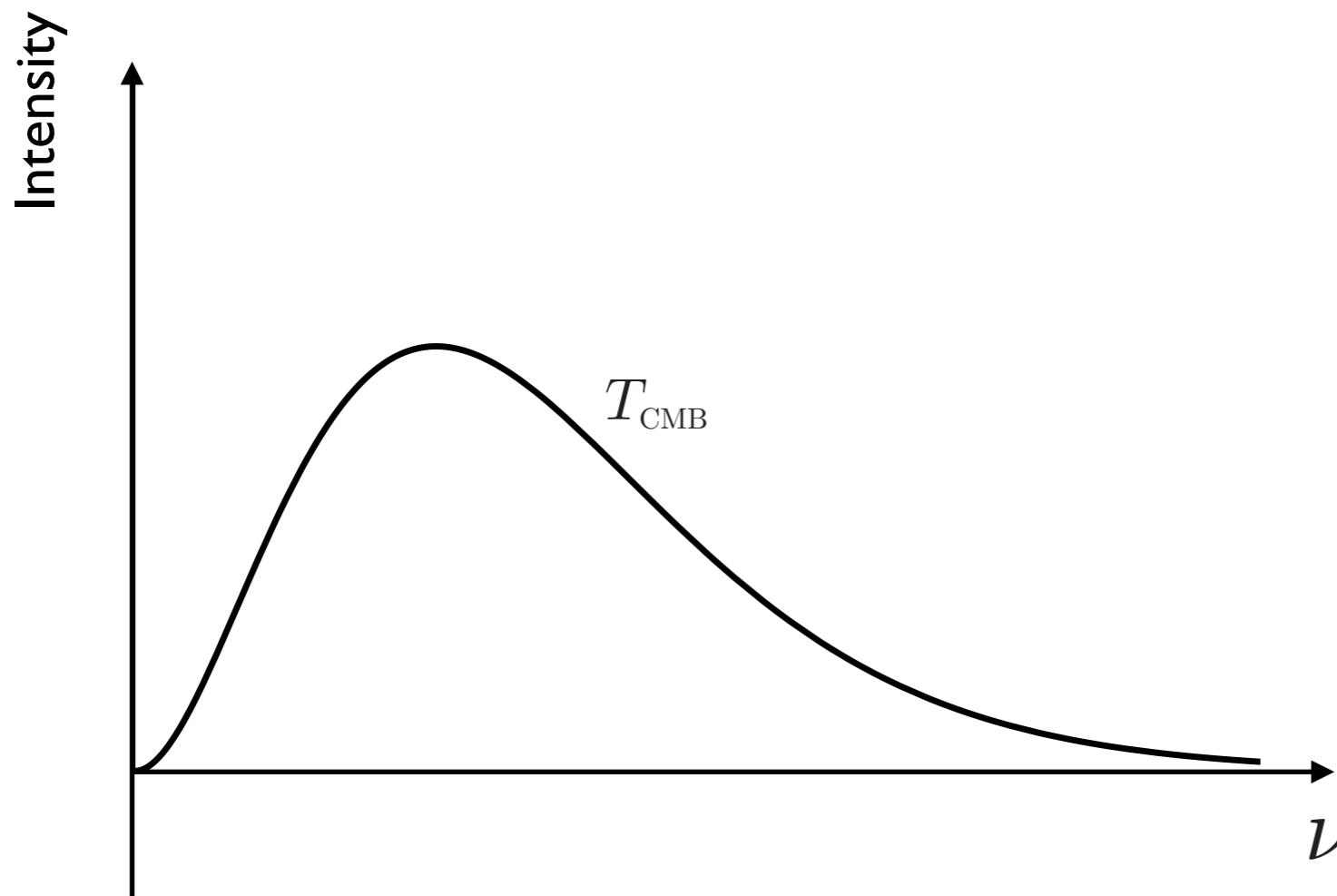
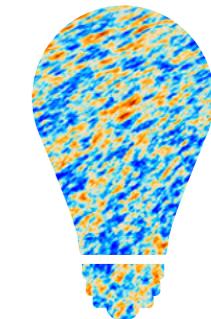
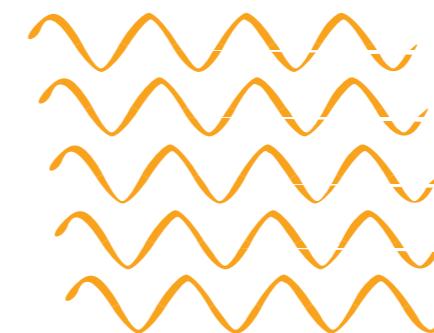


# what we look for



$$T_S(z_*) \quad T_{\text{CMB}}(z_*)$$

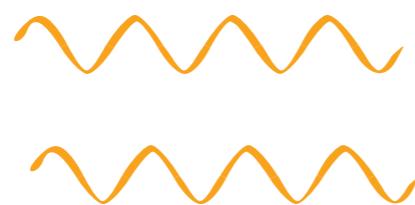
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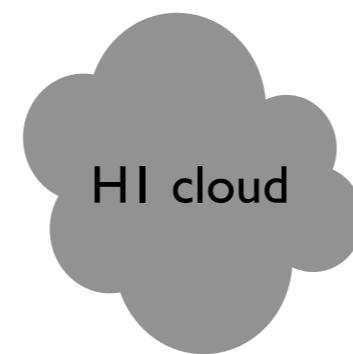


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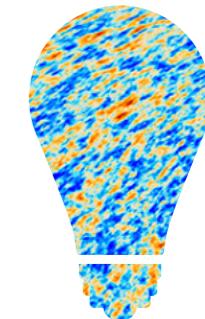
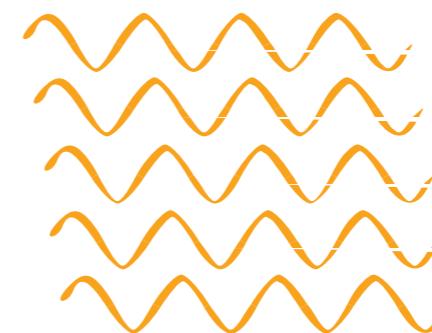


$z_*$

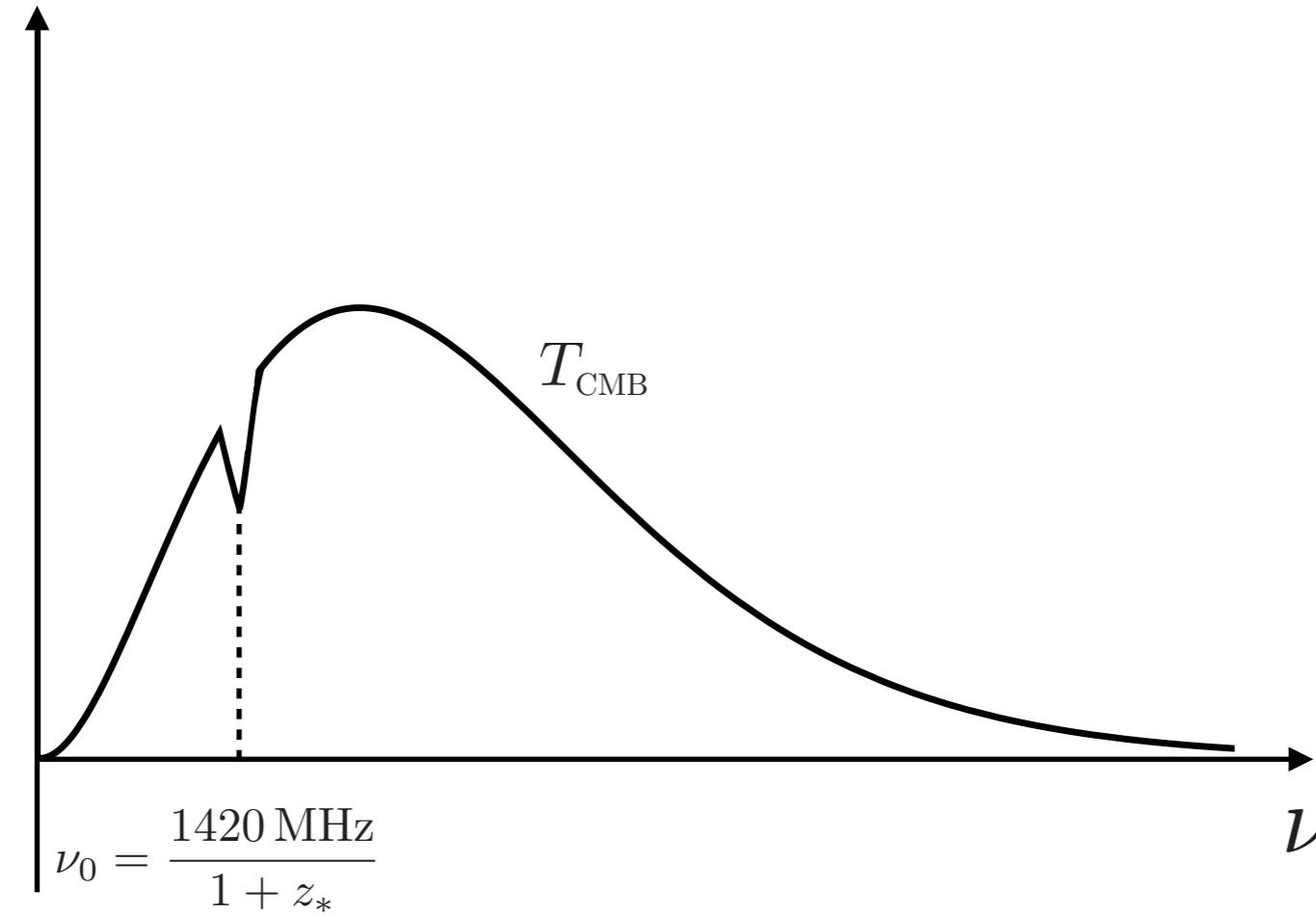


$$T_{\text{S}}(z_*) < T_{\text{CMB}}(z_*)$$

$\nu = 1420 \text{ MHz}$



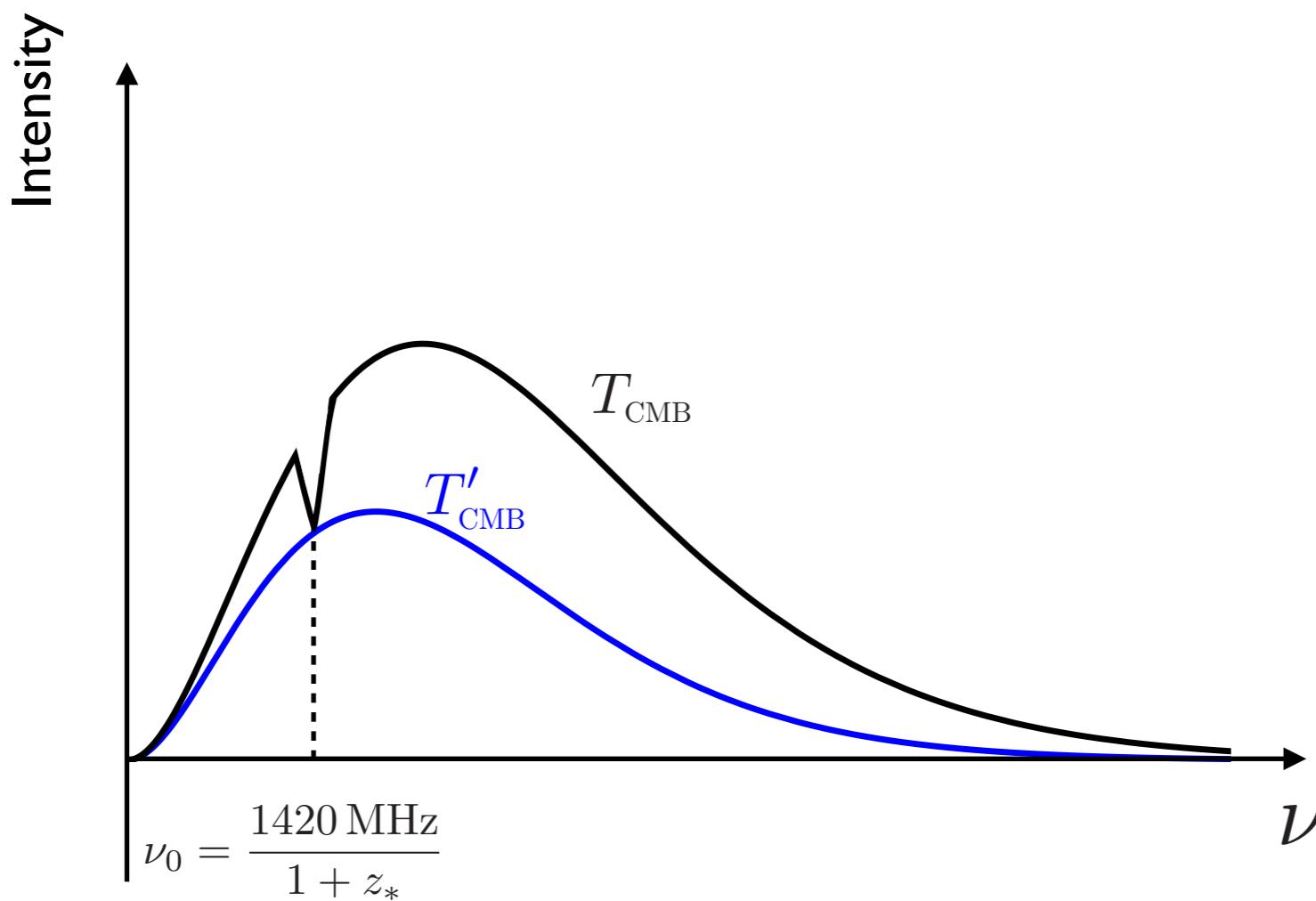
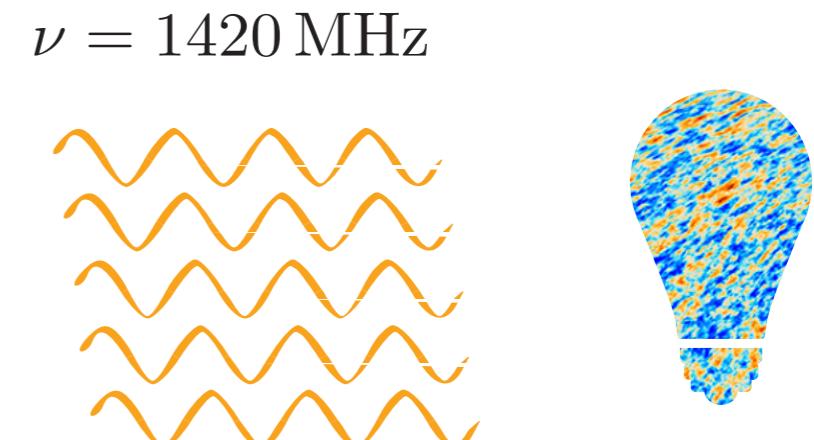
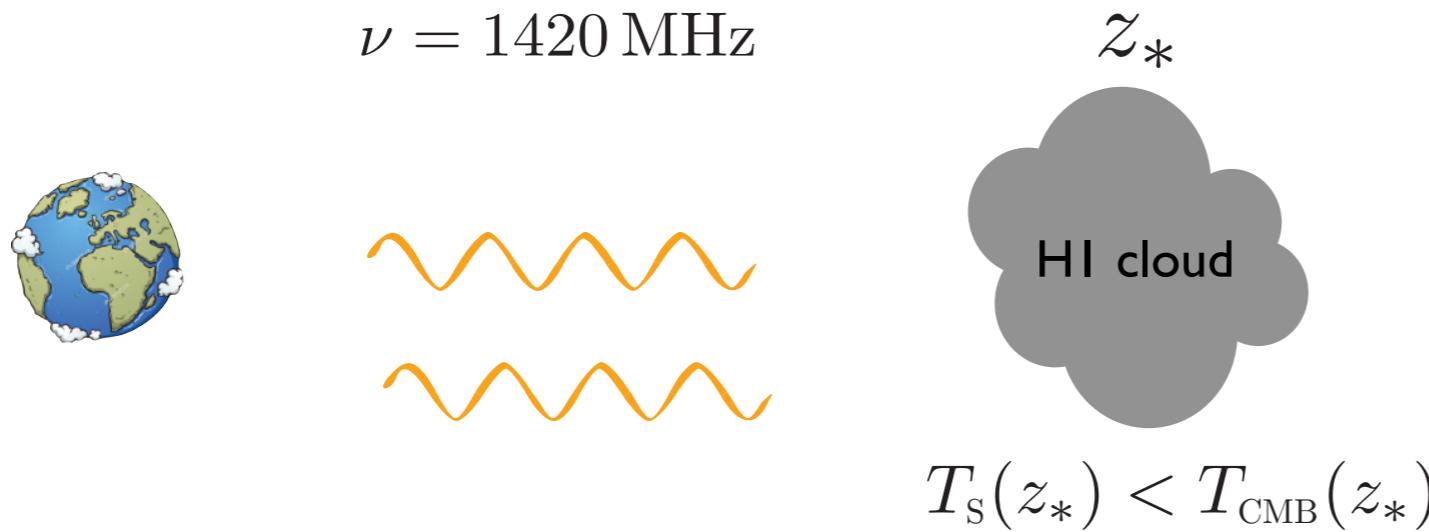
Intensity



$$\nu_0 = \frac{1420 \text{ MHz}}{1 + z_*}$$



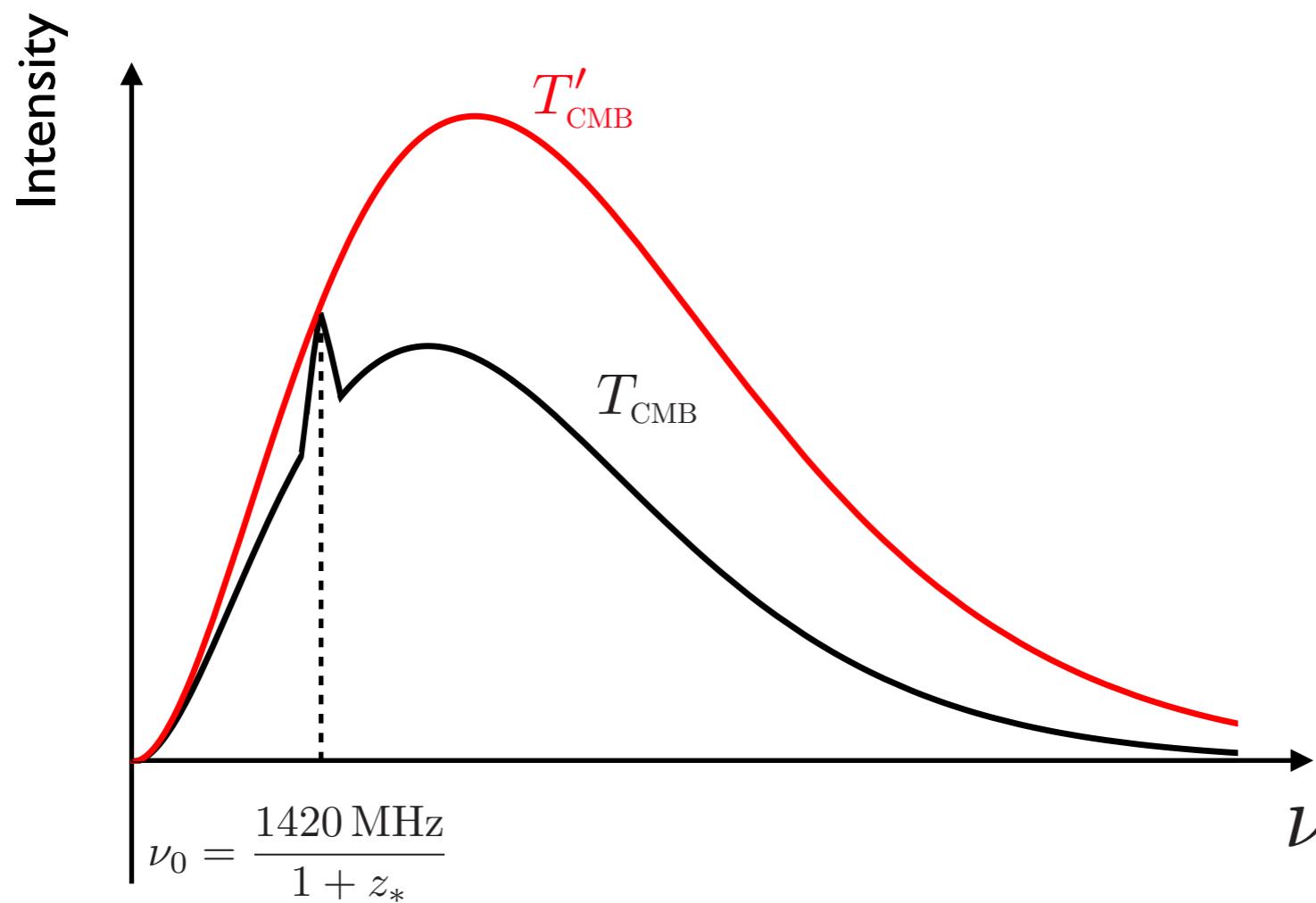
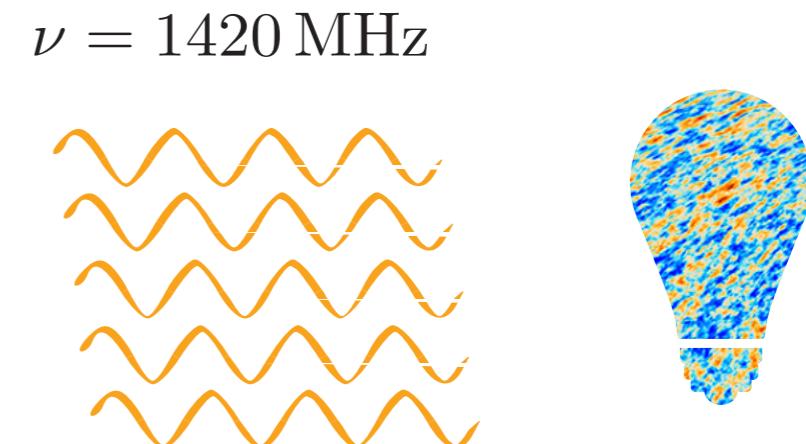
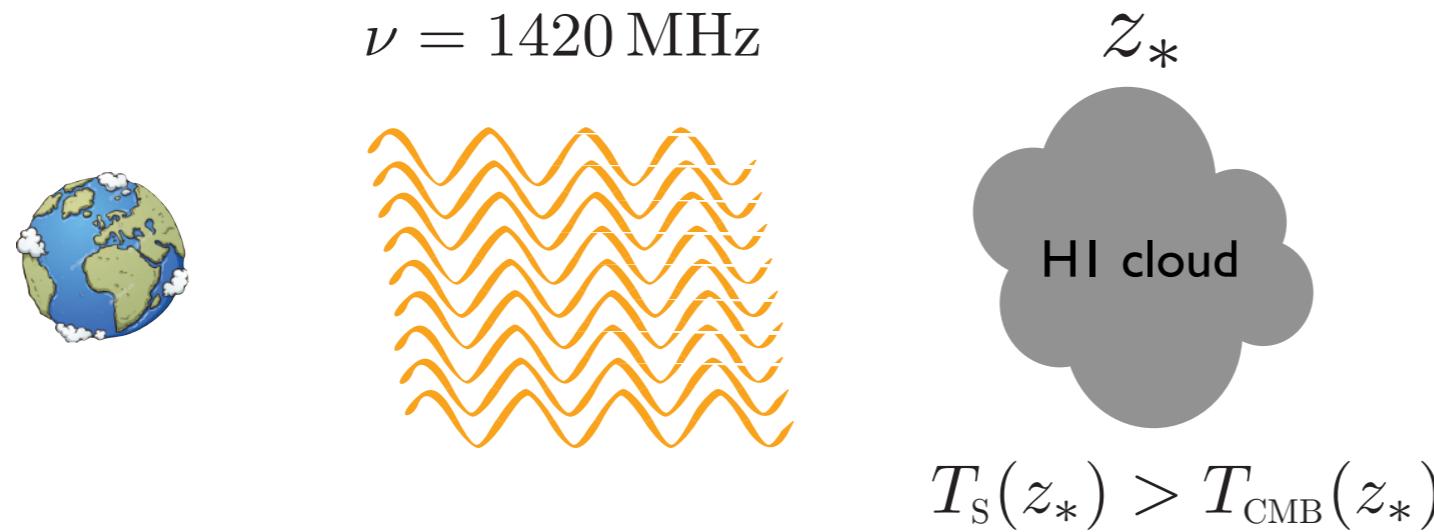
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# the form of the signal

$T_S > T_{\text{CMB}}$

emission signal

$T_S = T_{\text{CMB}}$

NO signal

$T_S < T_{\text{CMB}}$

absorption signal

the dependence from cosmological parameters

$\Omega_b$  and

$\Omega_m$

is omitted

$$\delta T_b = 27 x_{\text{HI}} \left( 1 - \frac{T_{\text{CMB}}(z)}{T_S(z)} \right) \sqrt{\frac{1+z}{10}} \text{ mK}$$

location of the line  $\leftrightarrow$  when

$$1 + z_* = \frac{1420 \text{ MHz}}{\nu_0}$$

strength of the line



gas properties



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# what determines the spin temperature

## three competing processes

### interaction with CMB photons

absorption and stimulated emission of background 21-cm photons

drives

$$T_s \rightarrow T_{\text{CMB}}$$

### collisions

requires high densities of the IGM:  
**effective for**

$$z \gtrsim 40$$

drives

$$T_s \rightarrow T_{\text{gas}}$$

### interaction with Ly $\alpha$ photons

need photons emitted from first stars:  
**effective for**

$$z \lesssim 30$$

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$$T_s \rightarrow T_{\text{gas}}$$

$$T_s^{-1} = \frac{T_{\text{CMB}}^{-1} + x_\alpha T_{\text{gas}}^{-1} + x_c T_{\text{gas}}^{-1}}{1 + x_\alpha + x_c}$$



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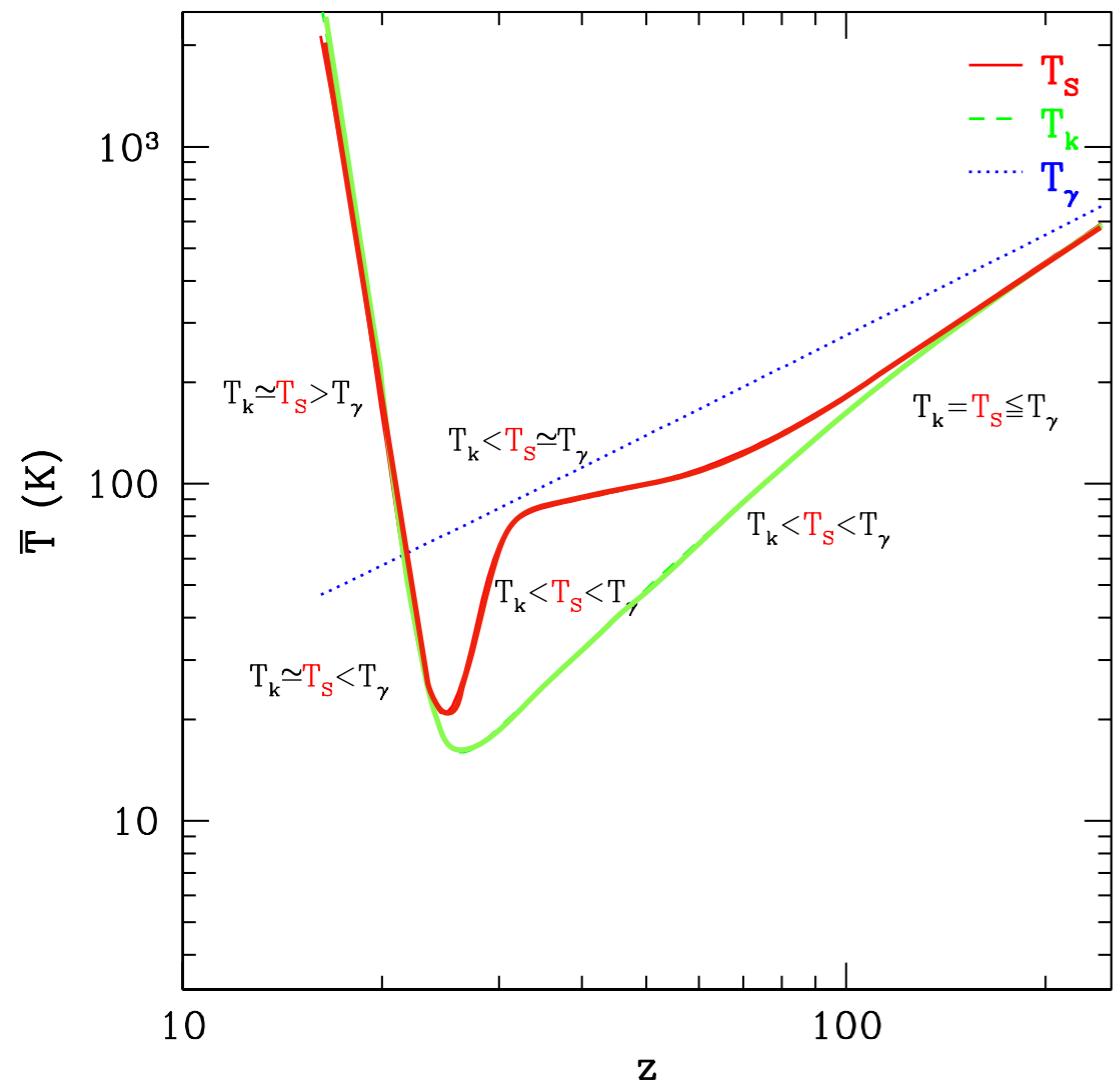
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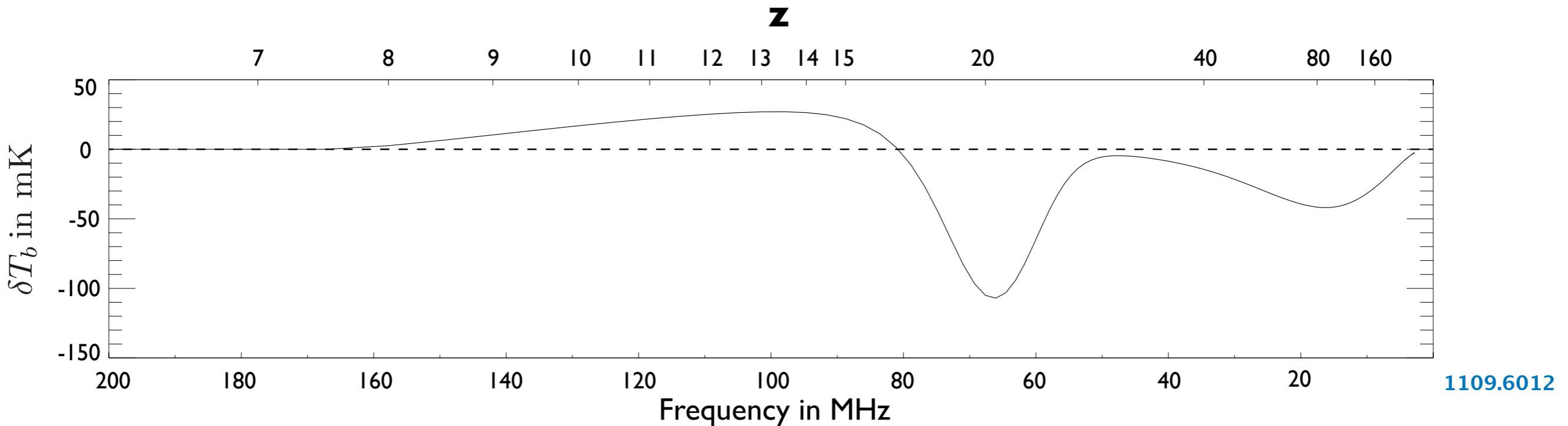


# the fiducial scenario

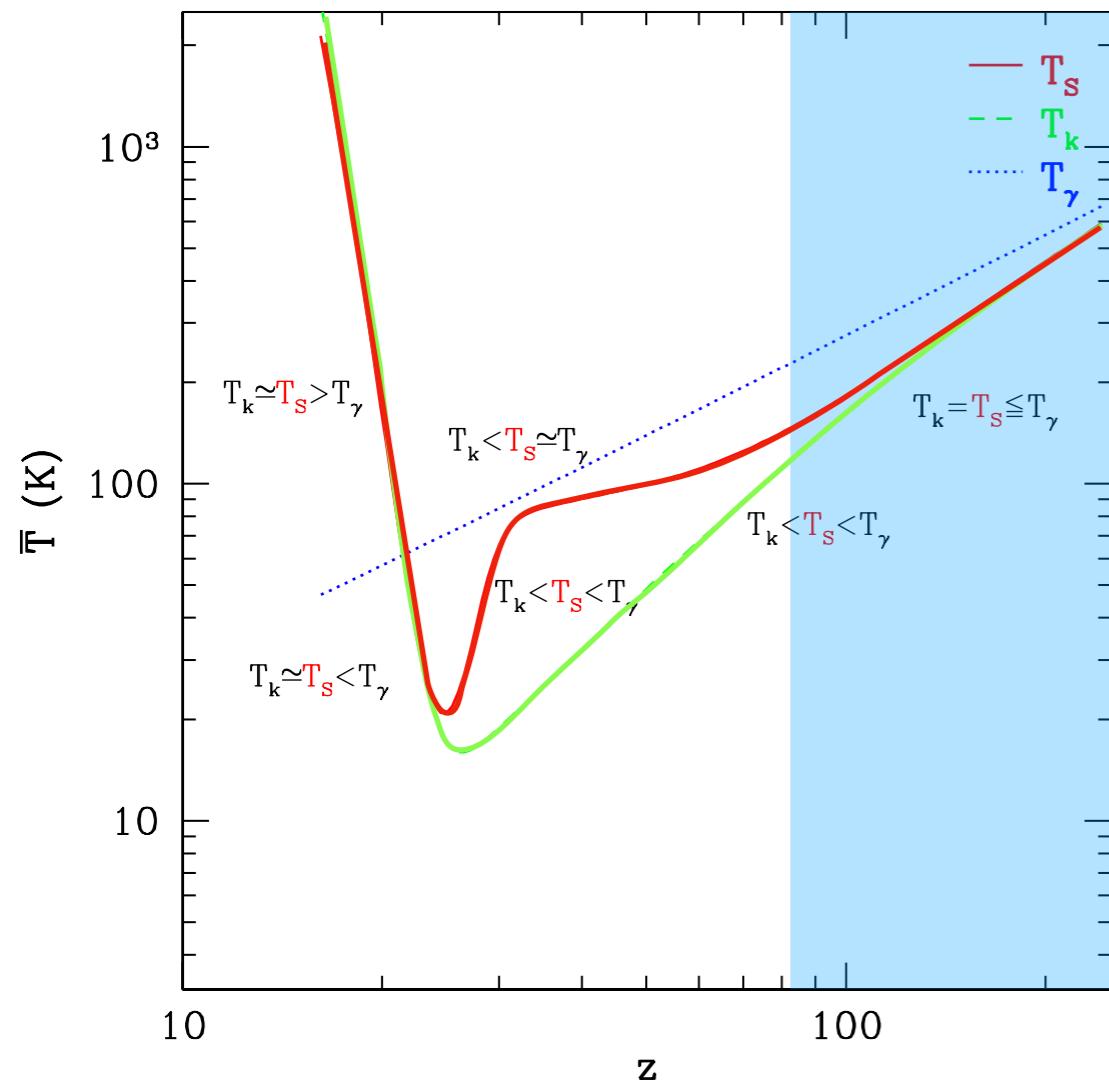


$$T_{\text{CMB}} \propto (1+z) \quad T_{\text{gas}} = (1+z)^2$$

$$T_{\text{gas}} \leq T_s \leq T_{\text{CMB}}$$



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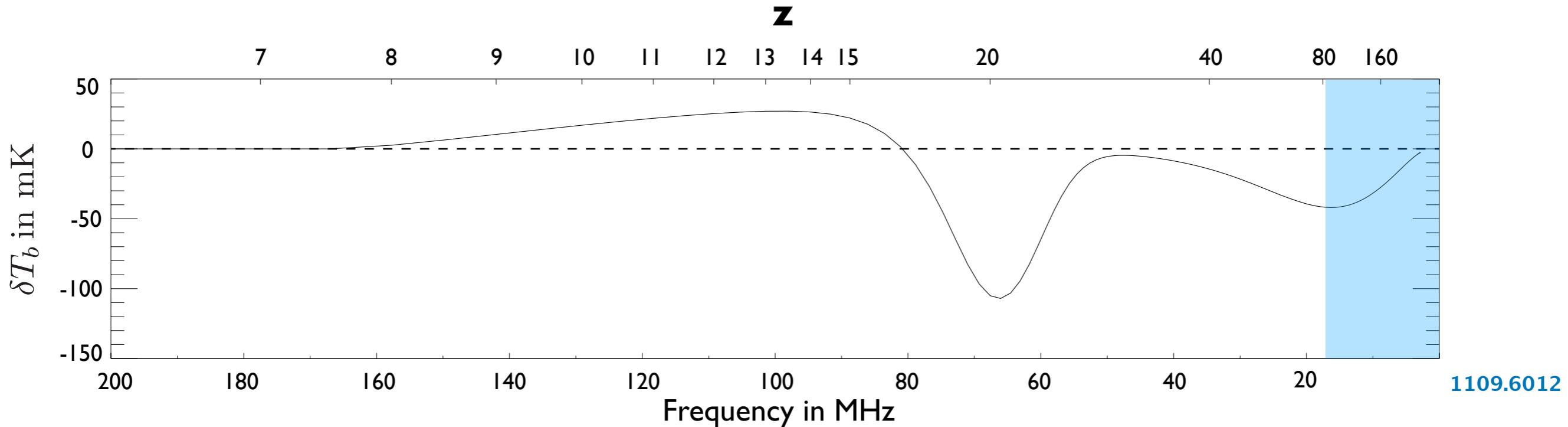


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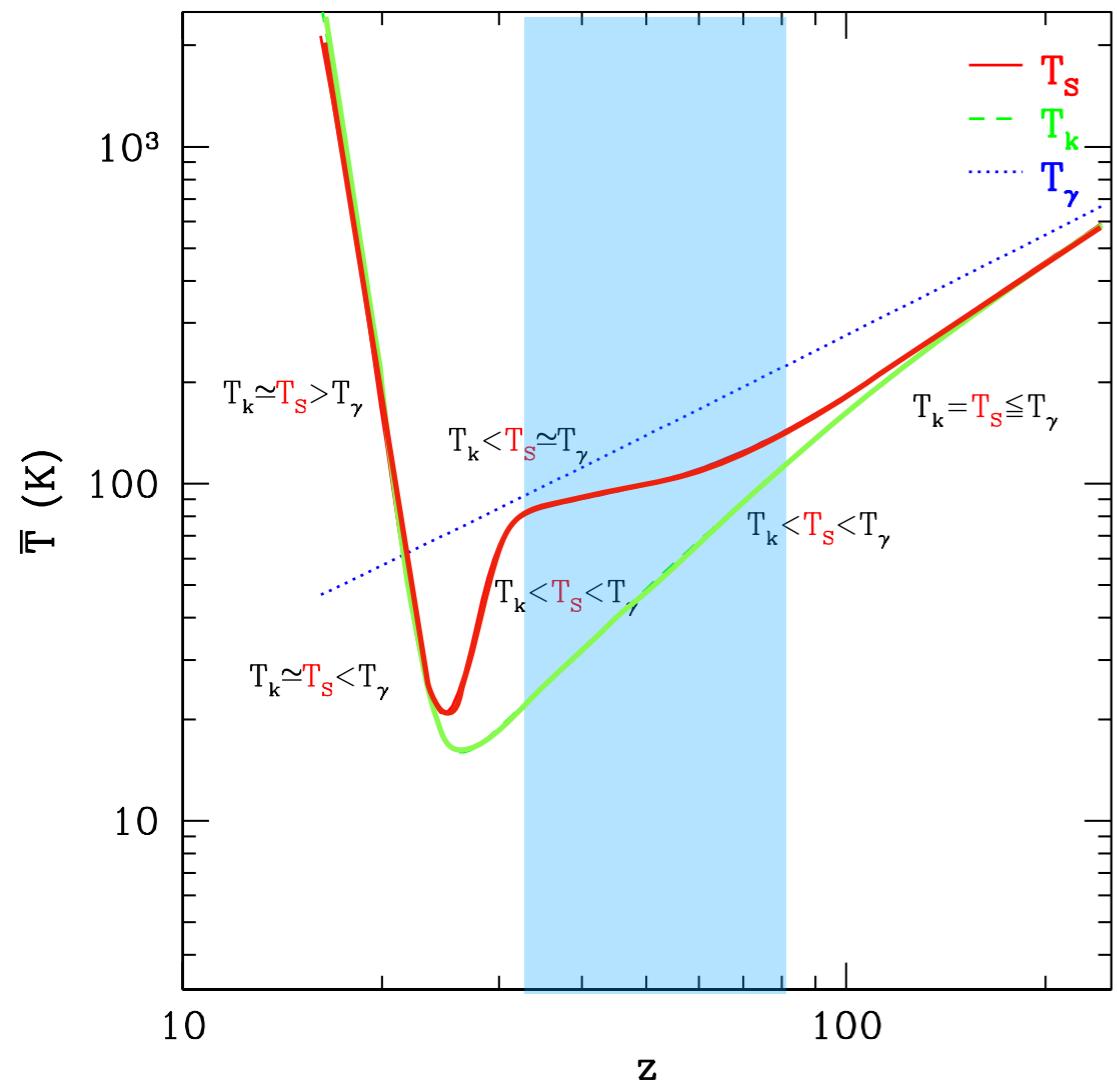
$$T_{\text{gas}} \propto (1+z)^2$$

$$T_{\text{gas}} \leq T_s \leq T_{\text{CMB}}$$

IGM is very dense and collisional coupling is effective

$$T_s \simeq T_{\text{gas}}$$


# the fiducial scenario



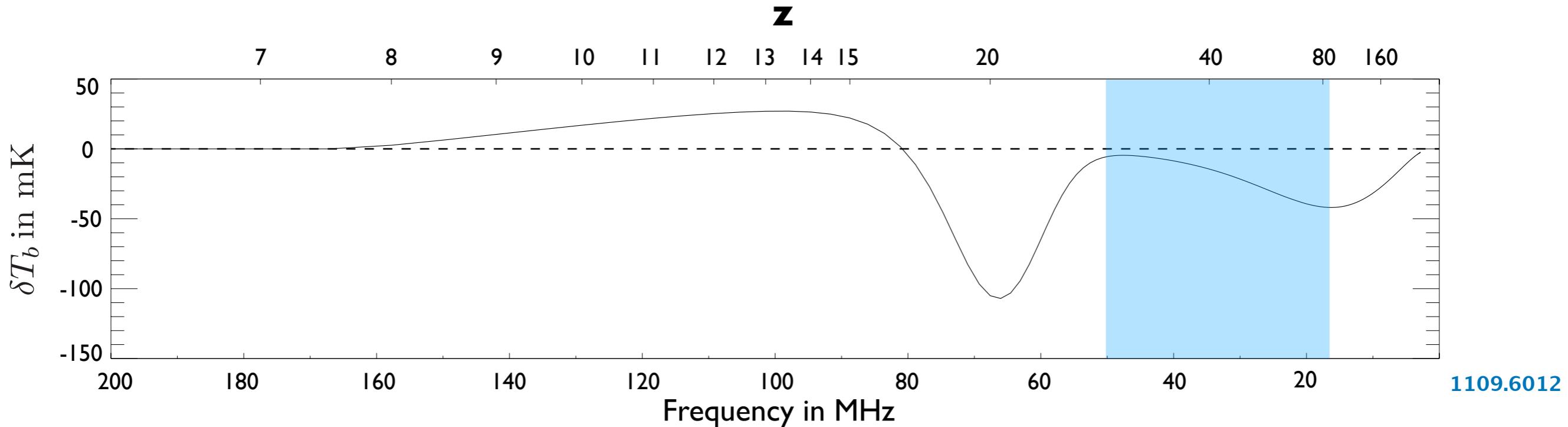
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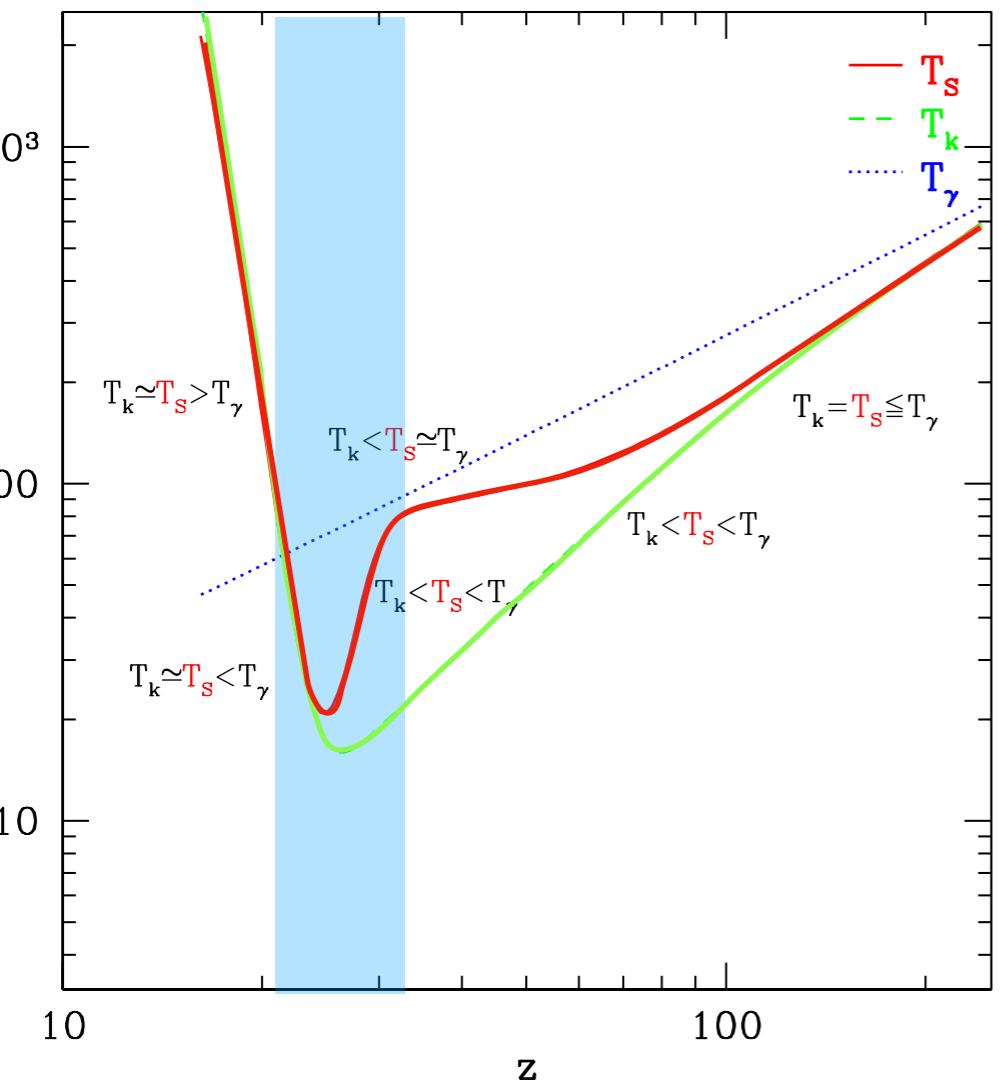
$$T_{\text{gas}} \leq T_s \leq T_{\text{CMB}}$$

IGM dilutes and collisional coupling becomes ineffective. CMB photons drive

$$T_s \rightarrow T_{\text{CMB}}$$



# the fiducial scenario



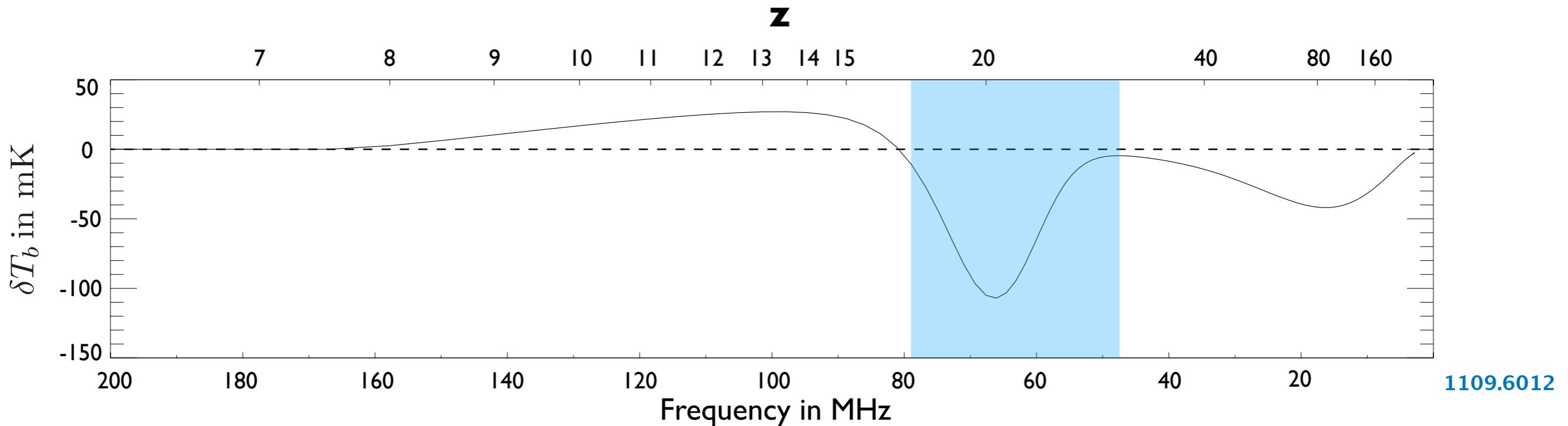
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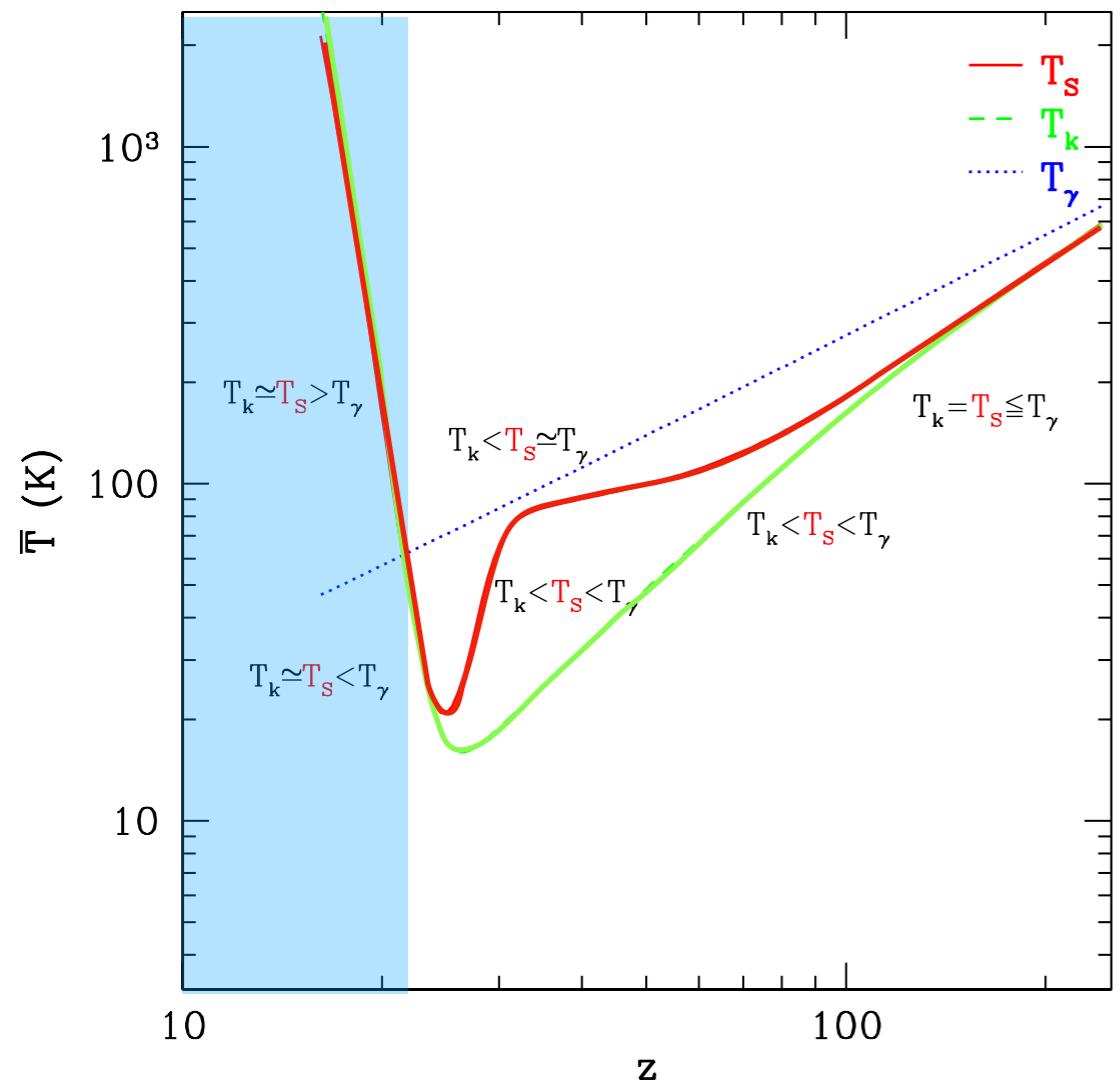
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Ly $\alpha$  photons emitted by first stars drive

$$T_s \rightarrow T_{\text{gas}}$$



# the fiducial scenario



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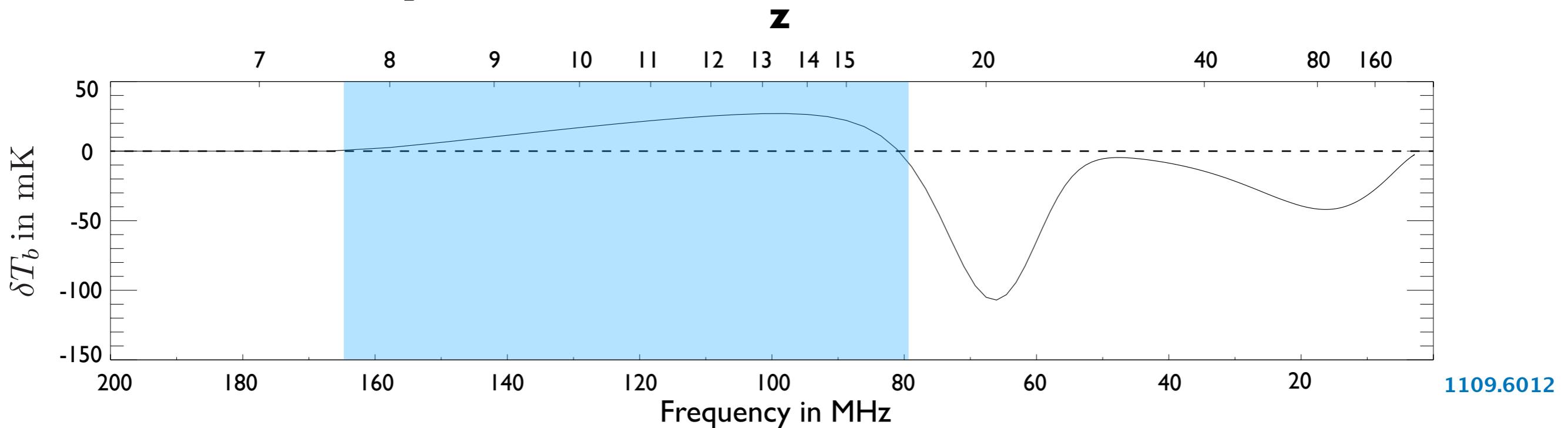
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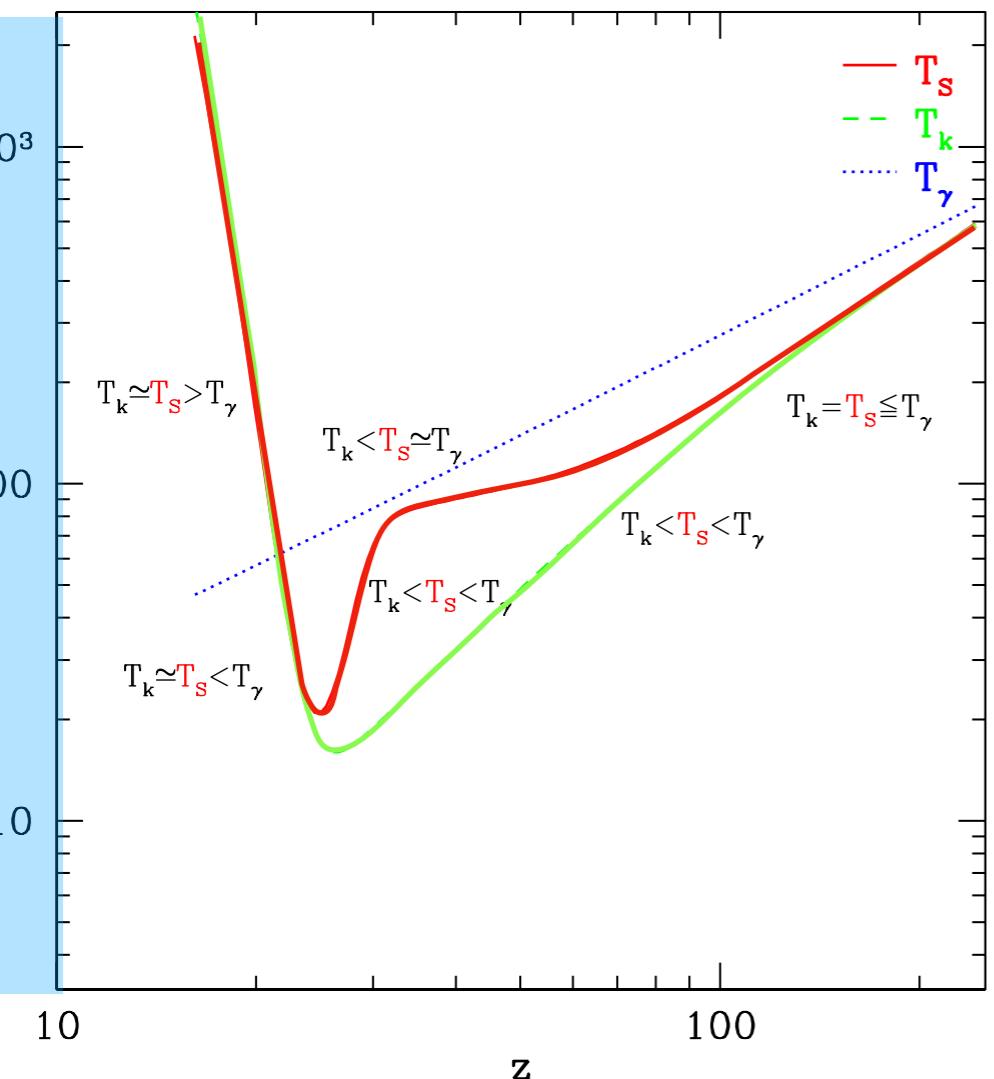
X-rays emitted by the first stars heat the IGM

$$T_K > T_{\text{CMB}}$$

and, at the same time, re-ionize the gas



# the fiducial scenario

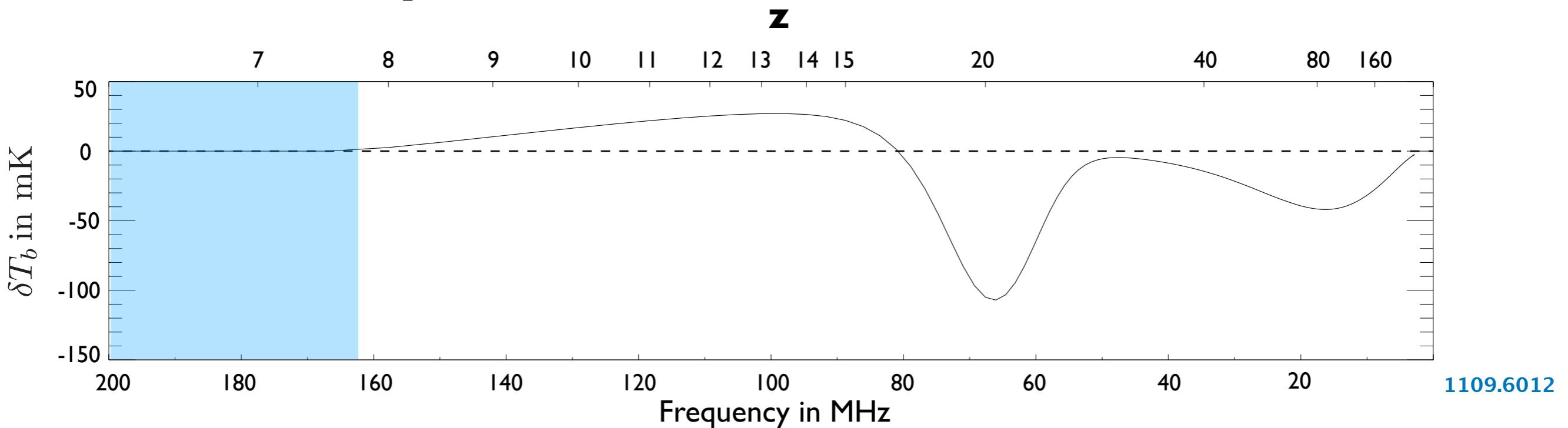


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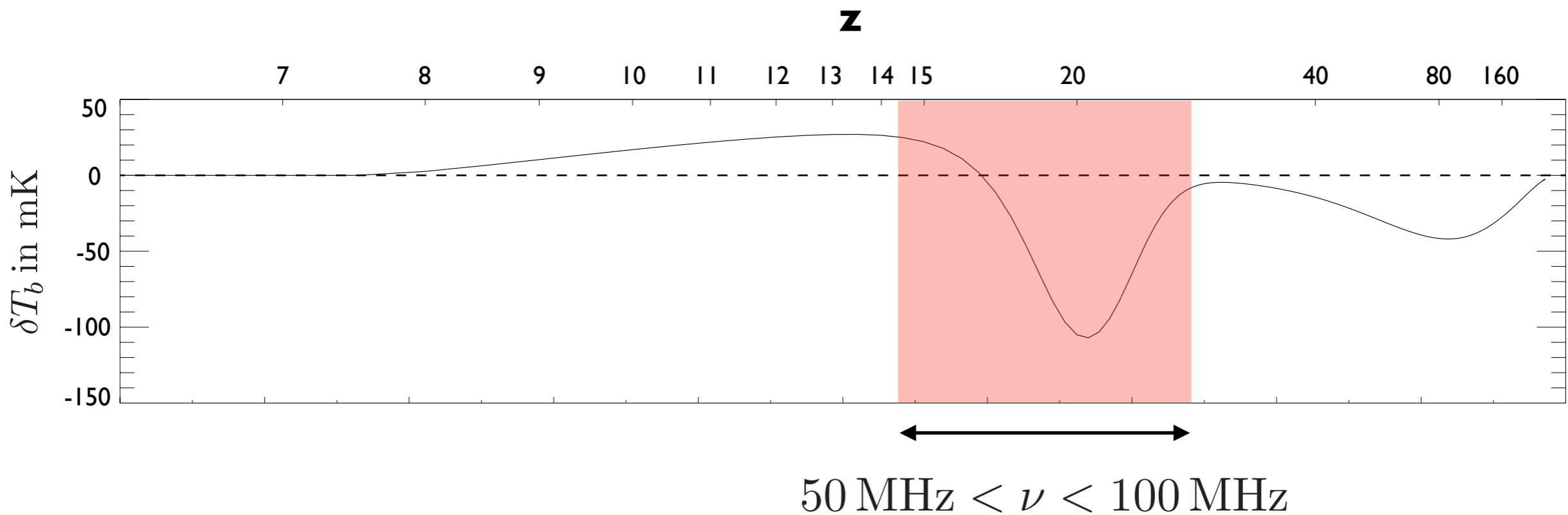
re-ionization is completed and there is no more neutral Hydrogen



The EDGES result

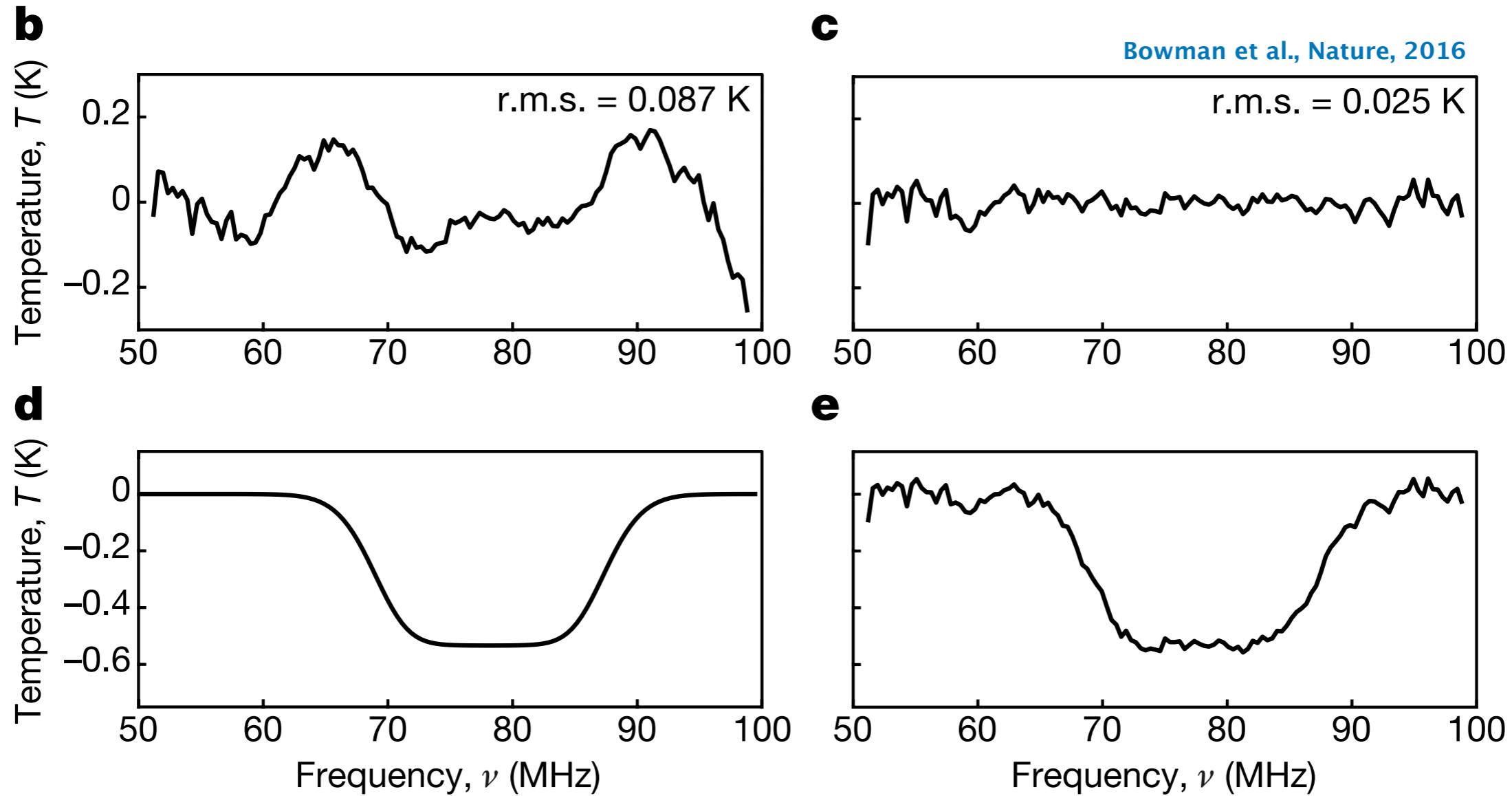


# where EDGES is looking





## absorption feature centered around 78MHz

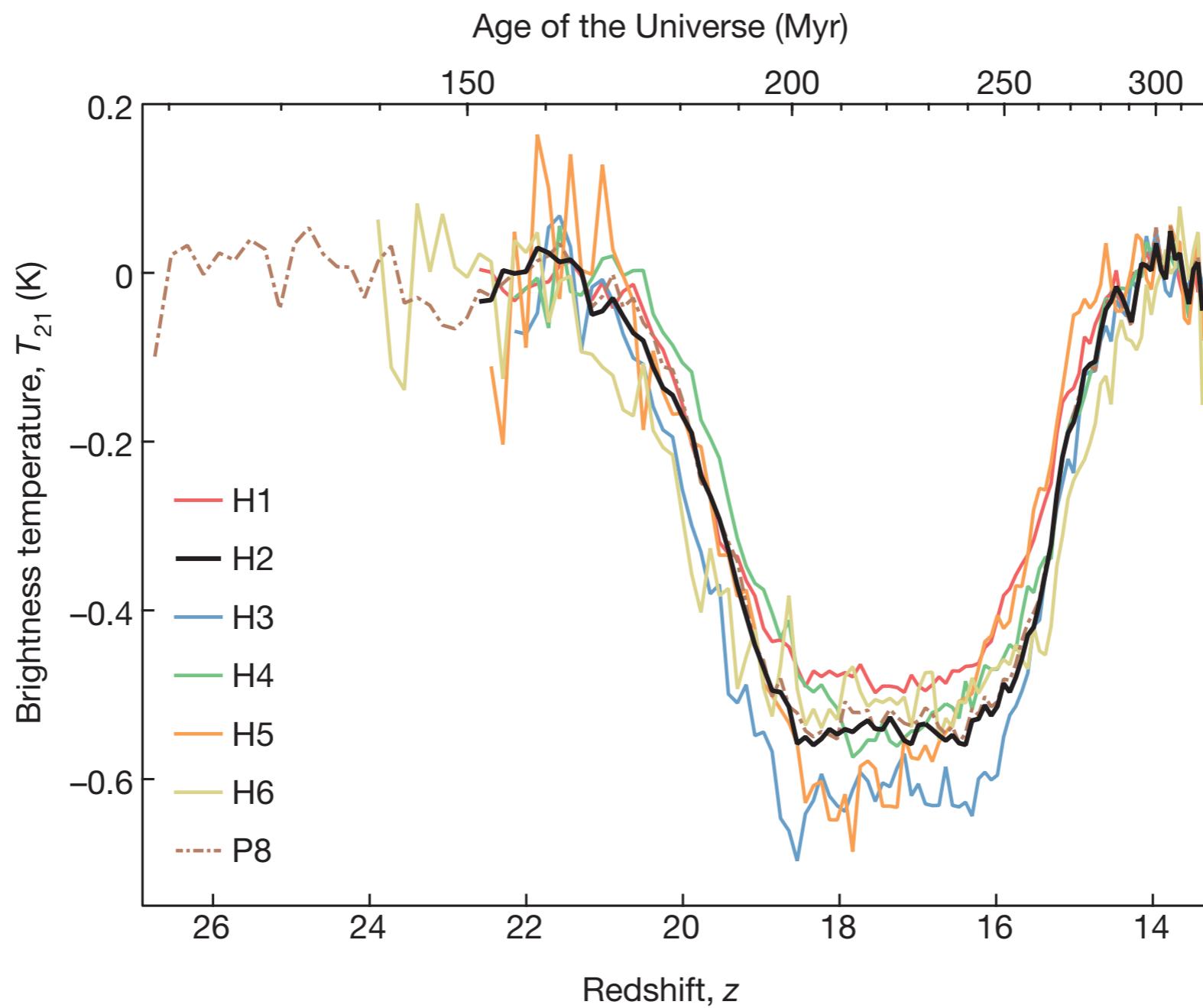


signal is anomalously large

$$(\delta T_b)_{\text{obs}} \simeq -500_{-500}^{+200} \text{ mK}$$

$$(\delta T_b)_{\text{exp}} \simeq -220 \text{ mK}$$

or in terms of redshift around  $z \sim 17$



# How we put bounds

**the energy released in **DM decays** heat the IGM**

$$\left( \frac{dE}{dVdt} \right)_{\text{deposited}} = f(z, M_{\text{DM}}) \rho_{\text{DM},0} \tau_{\text{DM}}^{-1} (1+z)^3$$

$$\begin{aligned} \frac{dT_{\text{gas}}}{dz} = & \frac{1}{1+z} \left[ 2T_{\text{gas}} - \gamma_{\text{C}} (T_{\text{CMB}}(z) - T_{\text{gas}}) \right] + \\ & - \frac{1}{(1+z)H(z)} \frac{1+2x_e}{3n_{\text{H}}} \frac{2}{3(1+x_e+f_{\text{He}})} \left( \frac{dE}{dVdt} \right)_{\text{deposited}} \end{aligned}$$

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adiabatic cooling

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Compton coupling

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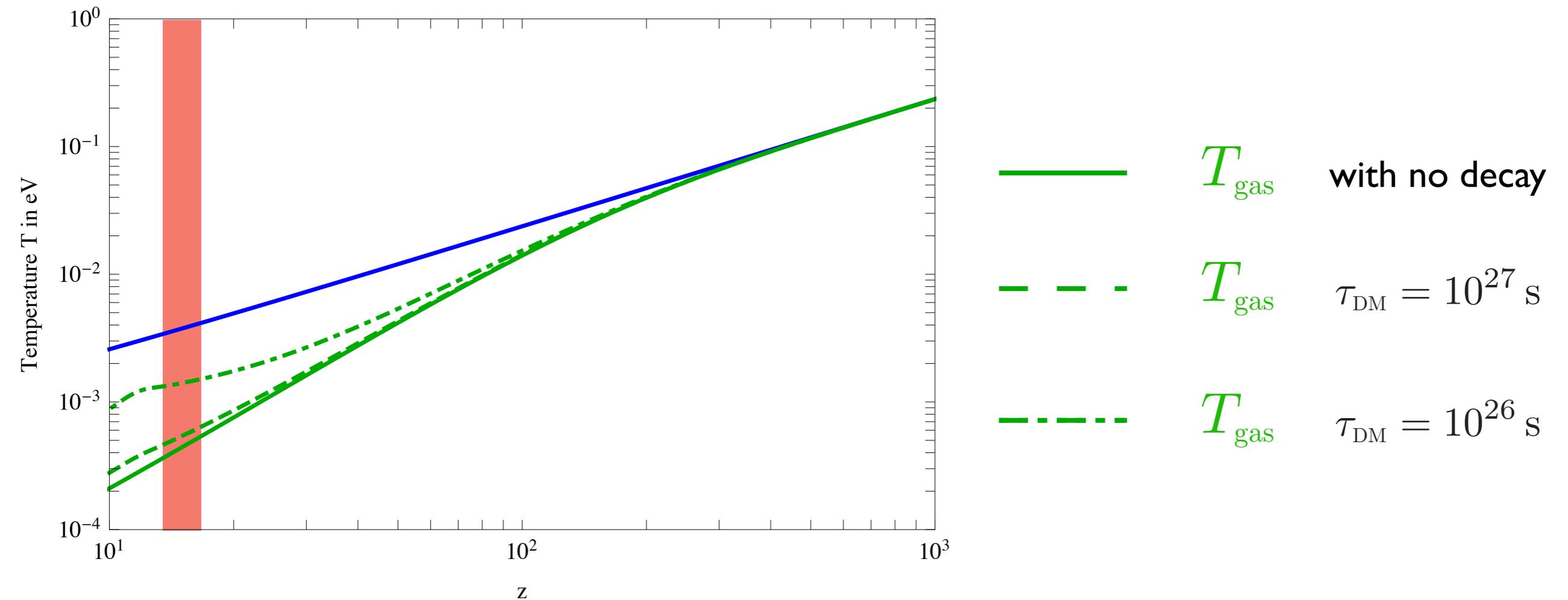
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DM decays



# how DM gets in the game

**the faster DM decays, the more it heats the IGM**





# DM decays VS EDGES result

$$|\delta T_b(\nu \approx 78 \text{ MHz})| \approx 36 \left| 1 - \frac{T_{\text{CMB}}(z \approx 17)}{T_S(z \approx 17)} \right| \text{ mK}$$



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$$T_S > T_{\text{gas}}$$



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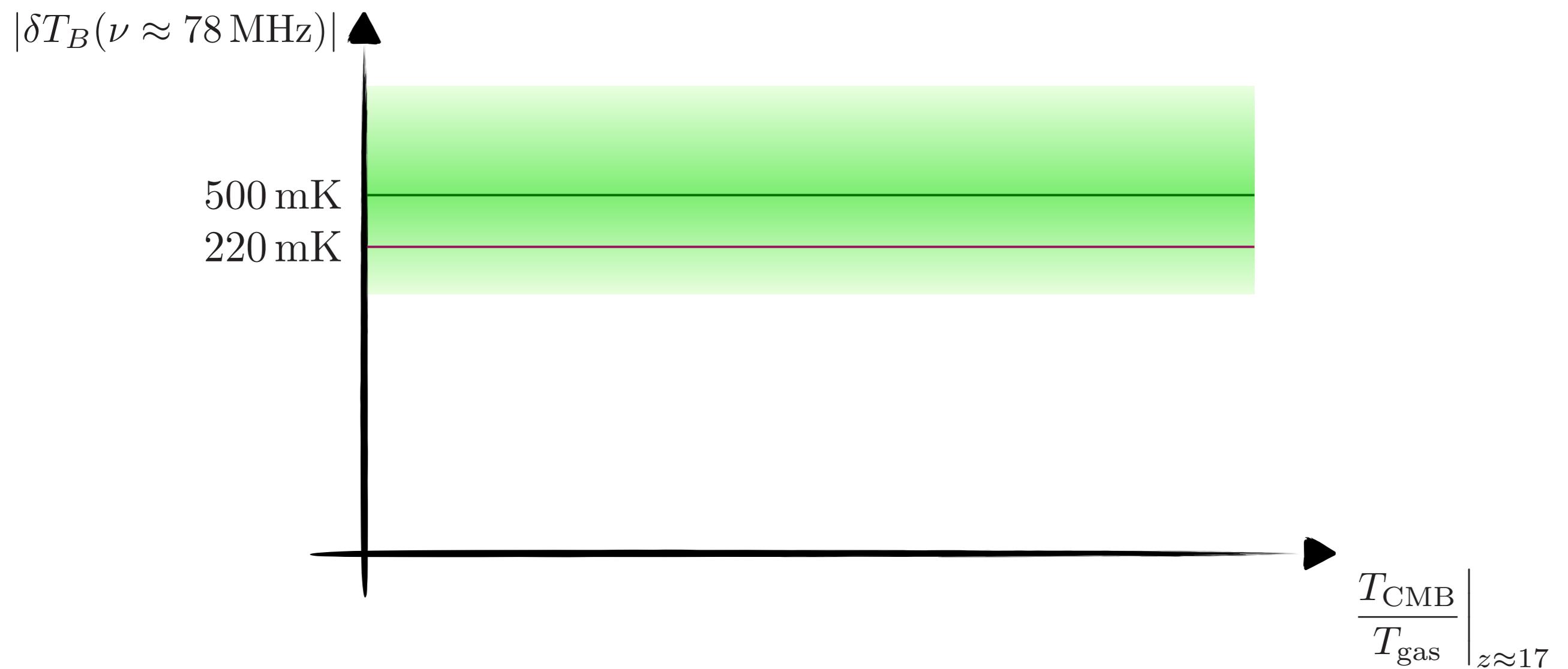
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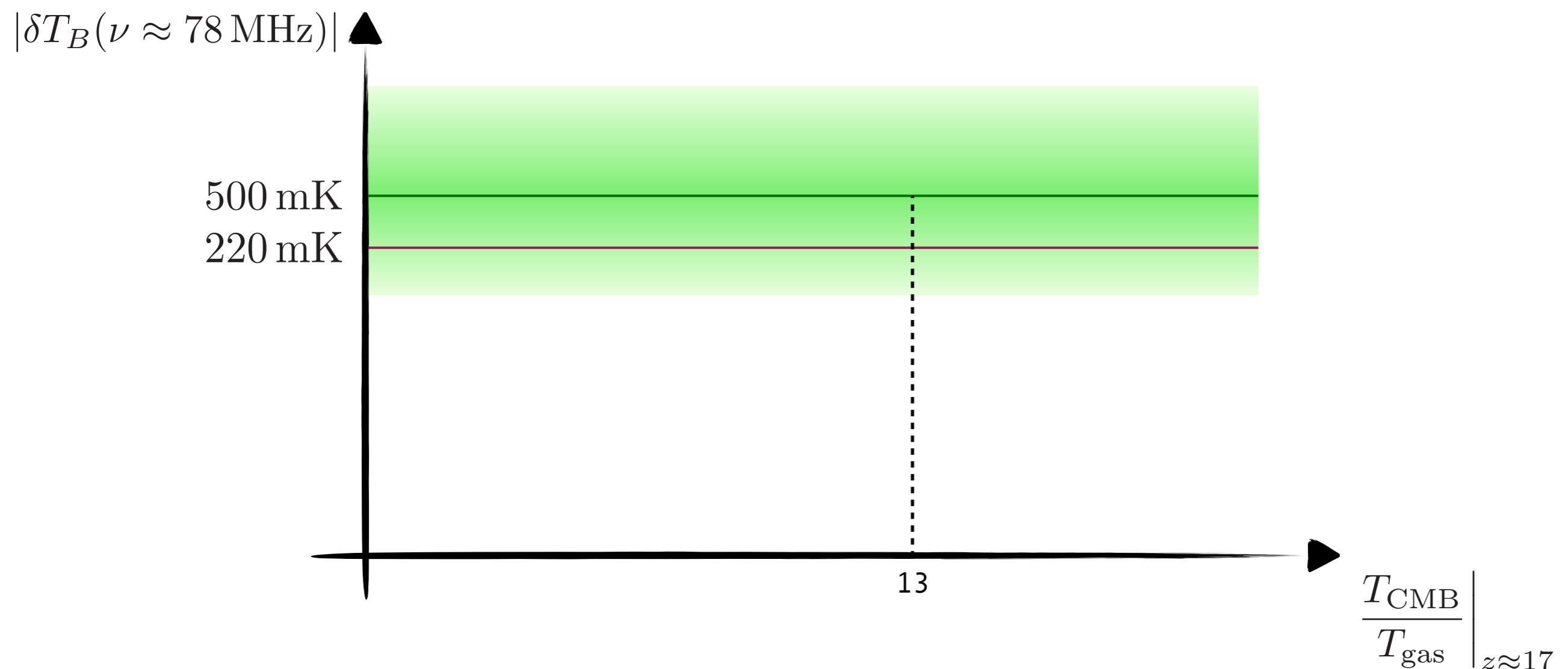
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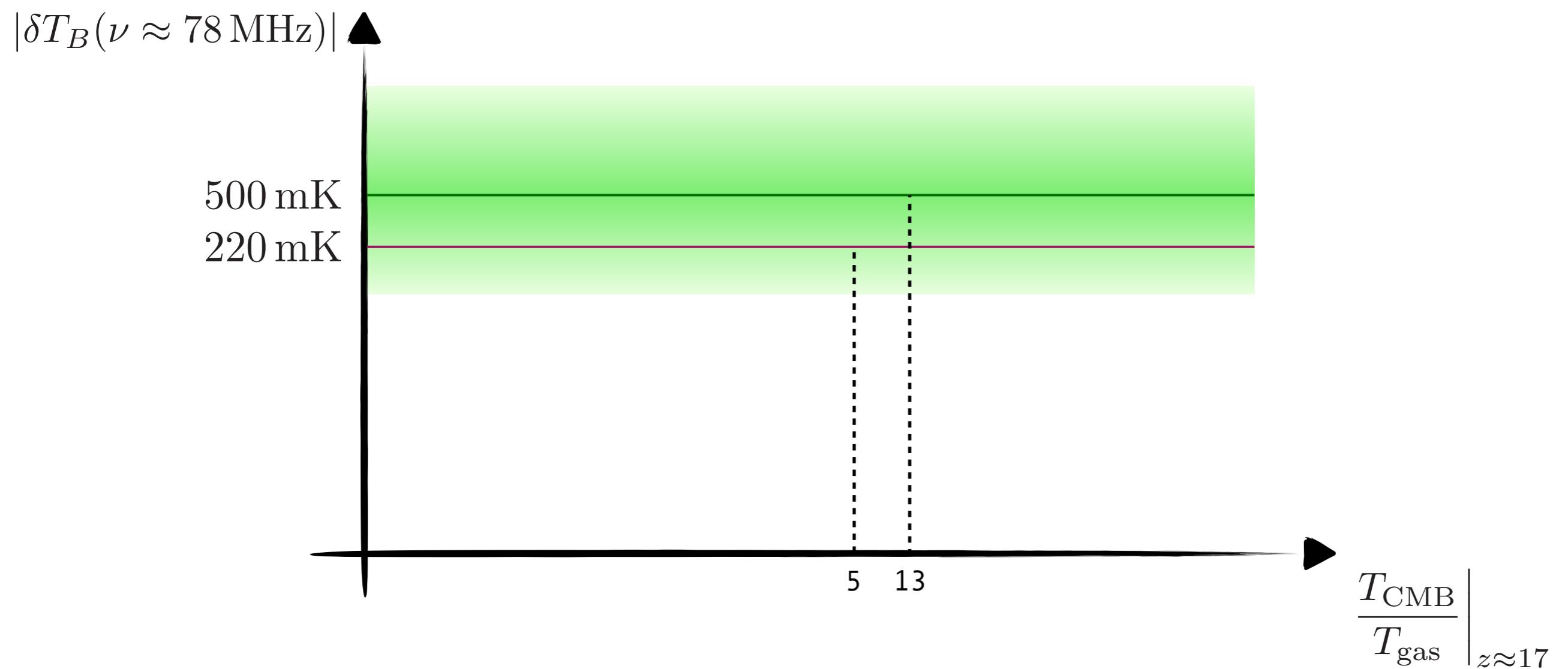
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# DM decays VS EDGES result

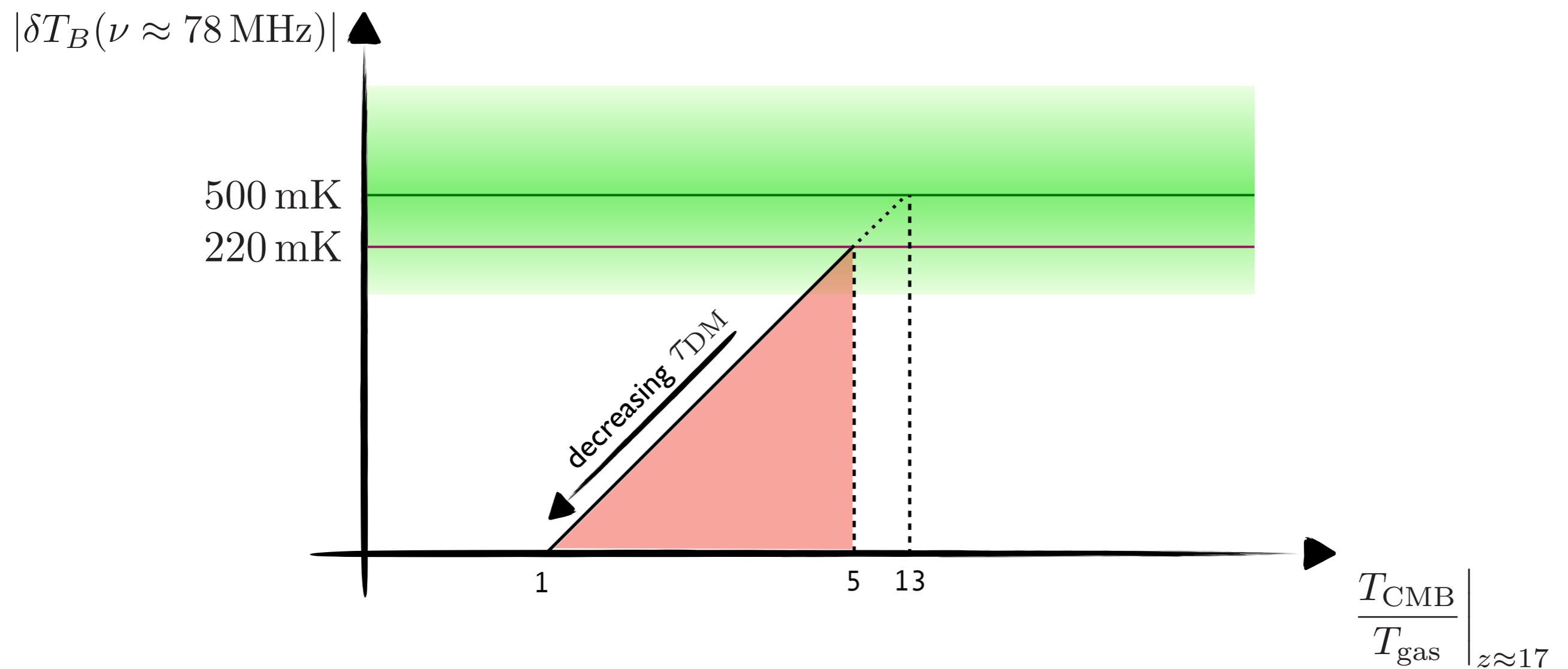
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## our assumptions

we ignore the anomalously large signal and assume EDGES is seeing  $\delta T_b \gtrsim -220 \text{ mK}$

we take  $T_s = T_{\text{gas}}$

we ignore additional sources of heating

we ignore additional sources of cooling or non standard cosmology



# our assumptions

we ignore the anomalously large signal and assume EDGES is seeing  $\delta T_b \gtrsim -220 \text{ mK}$

**CONSERVATIVE**

we take  $T_s = T_{\text{gas}}$

we ignore additional sources of heating

we ignore additional sources of cooling or non standard cosmology



# our assumptions

we ignore the anomalously large signal and assume EDGES is seeing  $\delta T_b \gtrsim -220 \text{ mK}$

we take  $T_{\text{gas}} = T$

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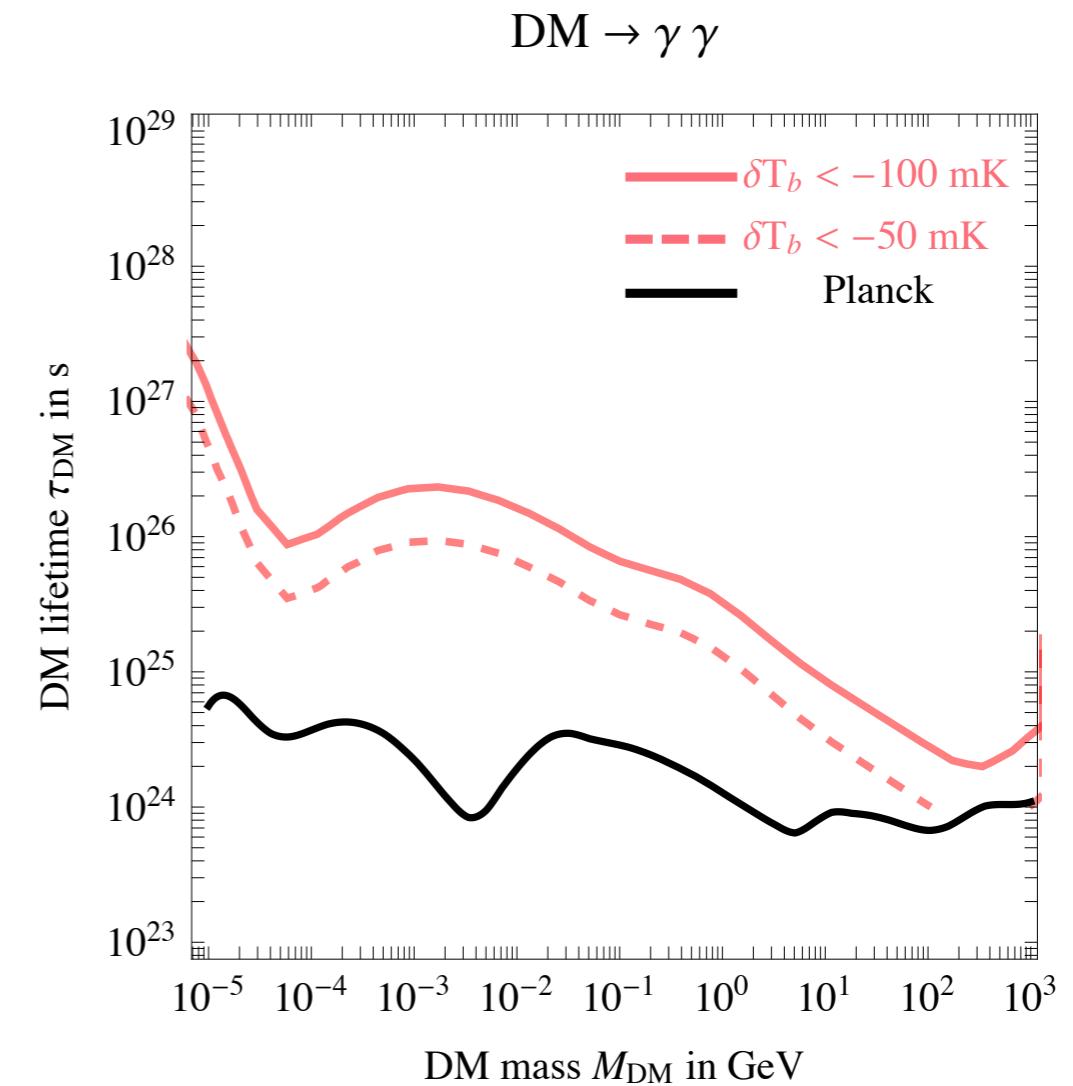
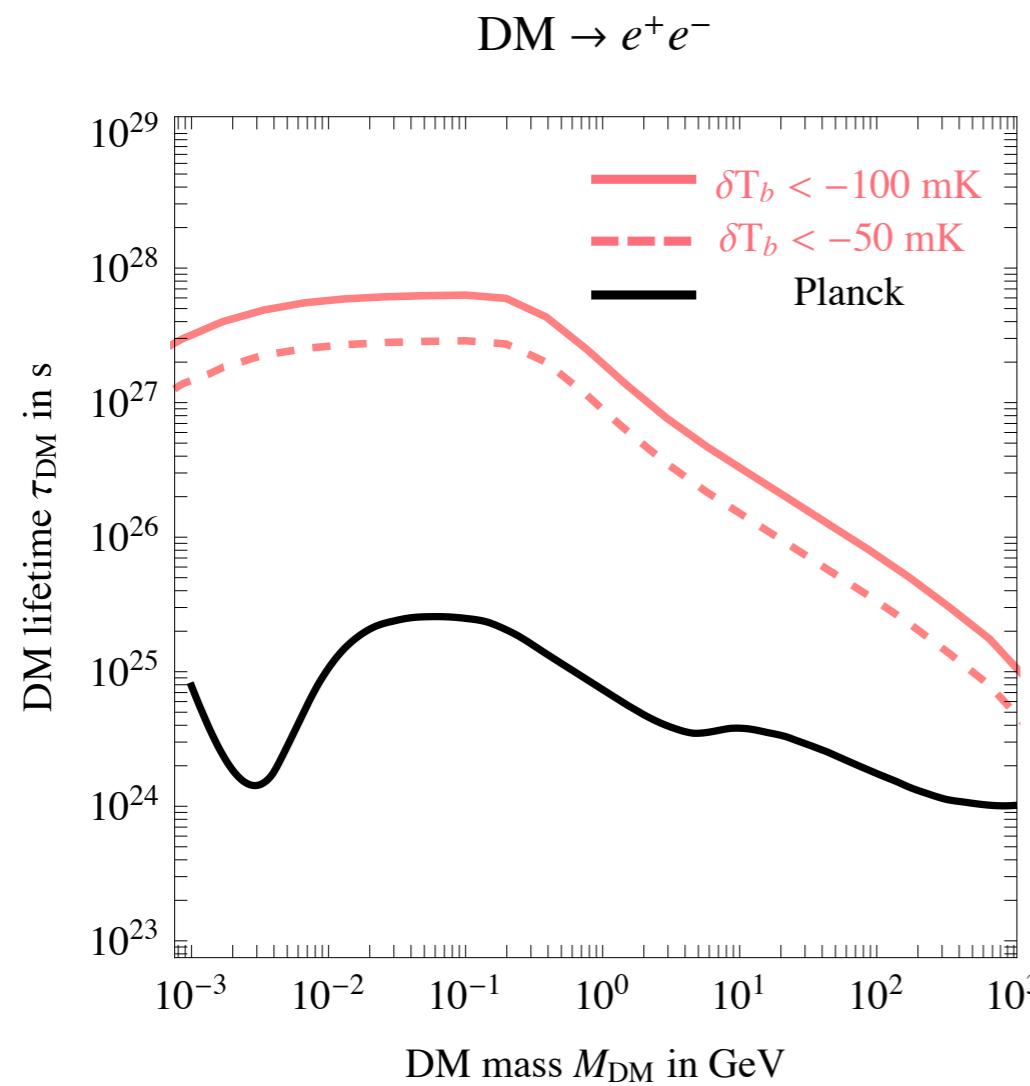
we ignore additional sources on standard cosmology

# Our bounds



# limits on the DM lifetime

**we require that DM decays do not reduce the signal by more than a factor 2 or 4**



**we are able to constraint  $\tau_{\text{DM}}$  using the claimed observation of an absorption signal in the CMB spectrum**

**the bounds are competitive or stronger than the existing ones**

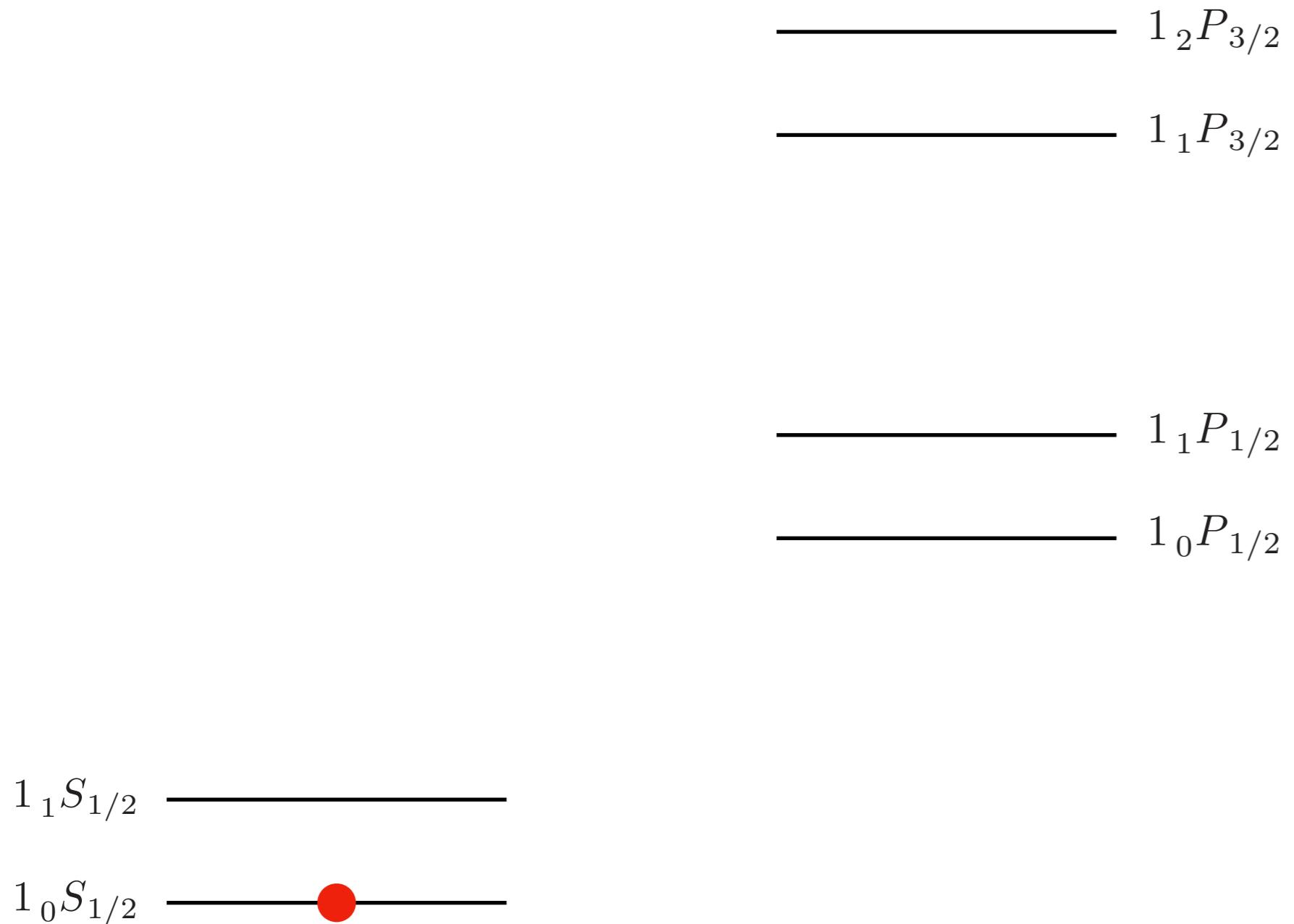
**the bounds are free of astrophysical uncertainties**

**we are just starting to probe the dark ages, stay tuned!**

*Backup slides*

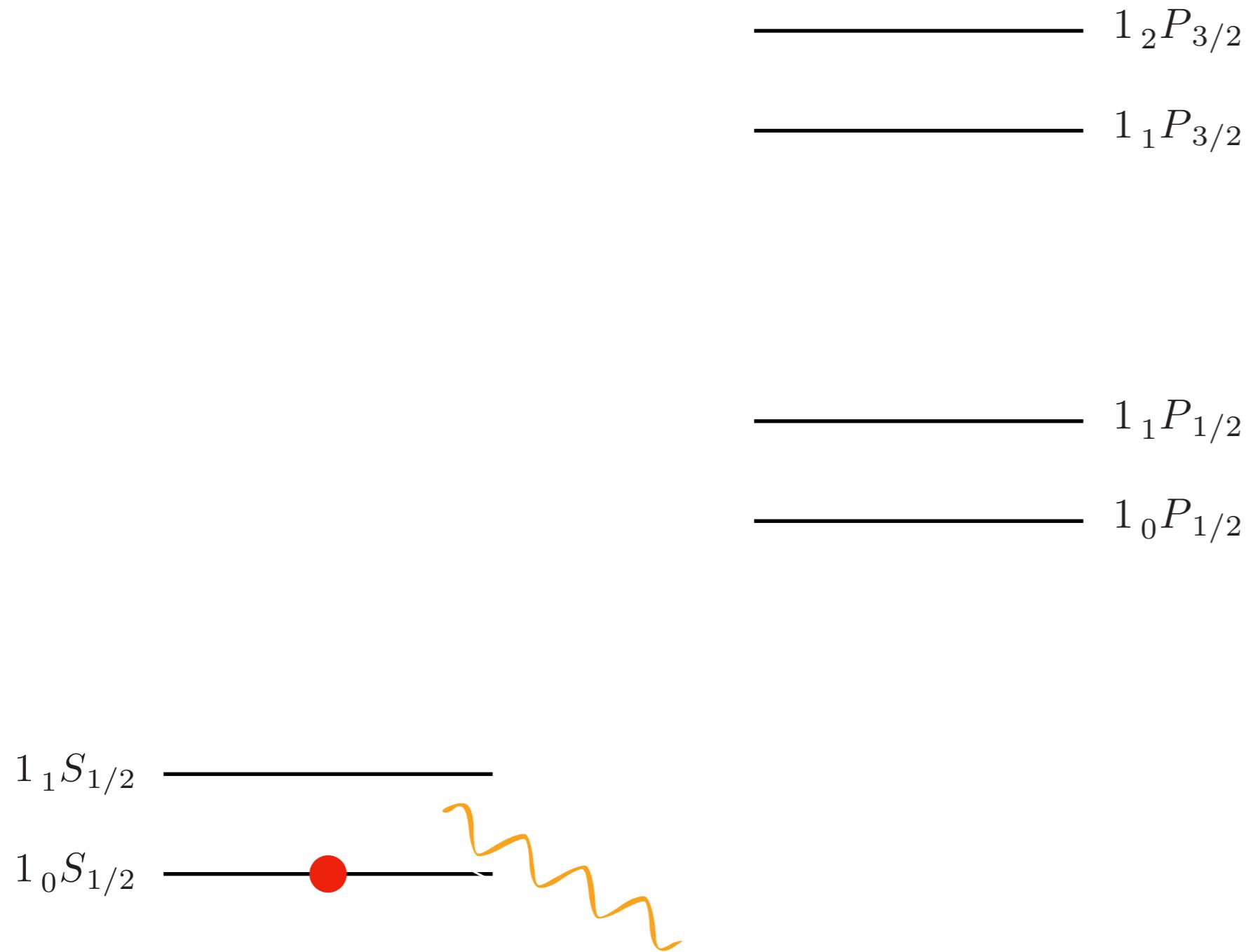


# Wouthuysen-Field effect



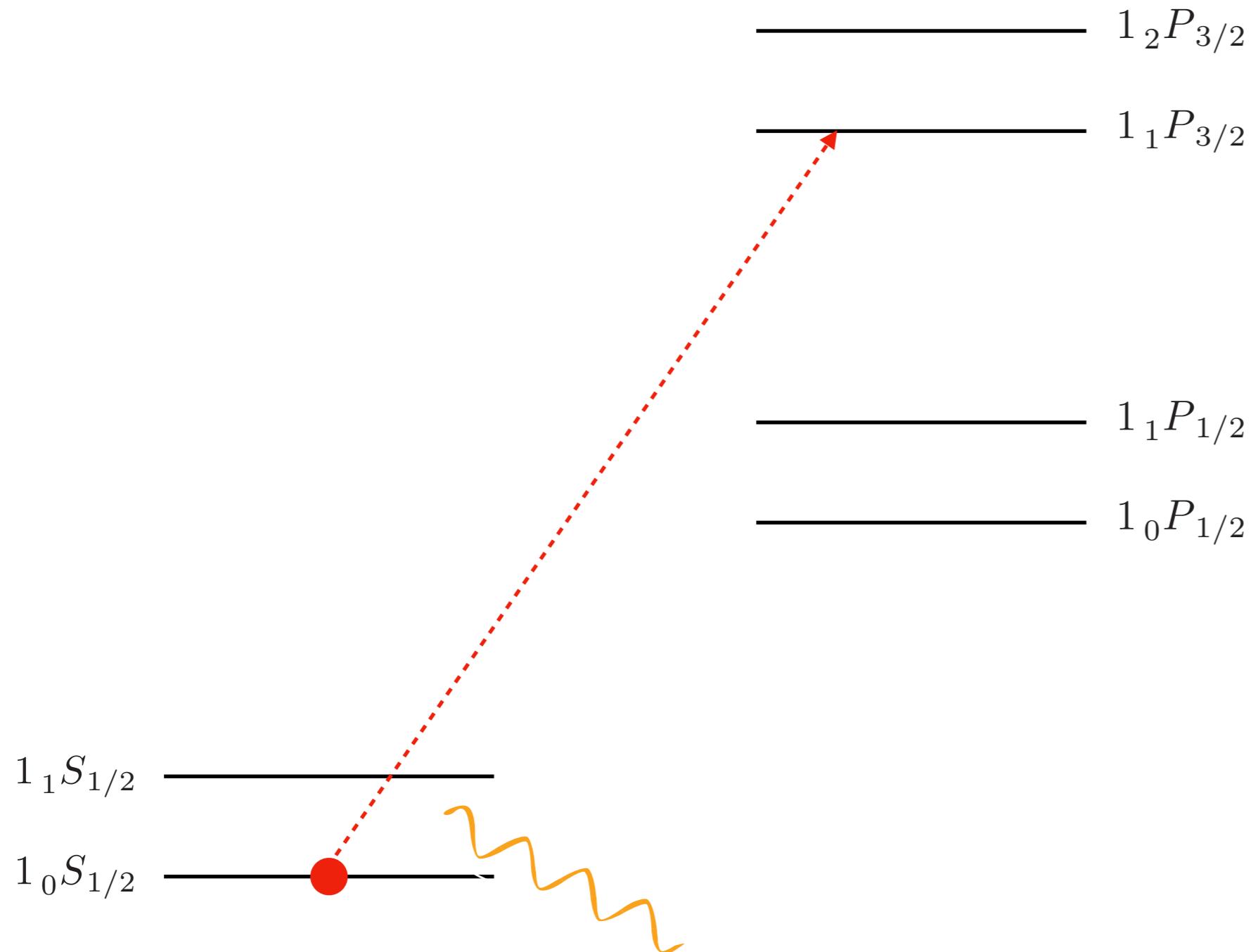


# Wouthuysen-Field effect





# Wouthuysen-Field effect





# Wouthuysen-Field effect

