



Simulations of RF beam manipulations including intensity effects for CERN PSB and SPS upgrades

D. Quartullo

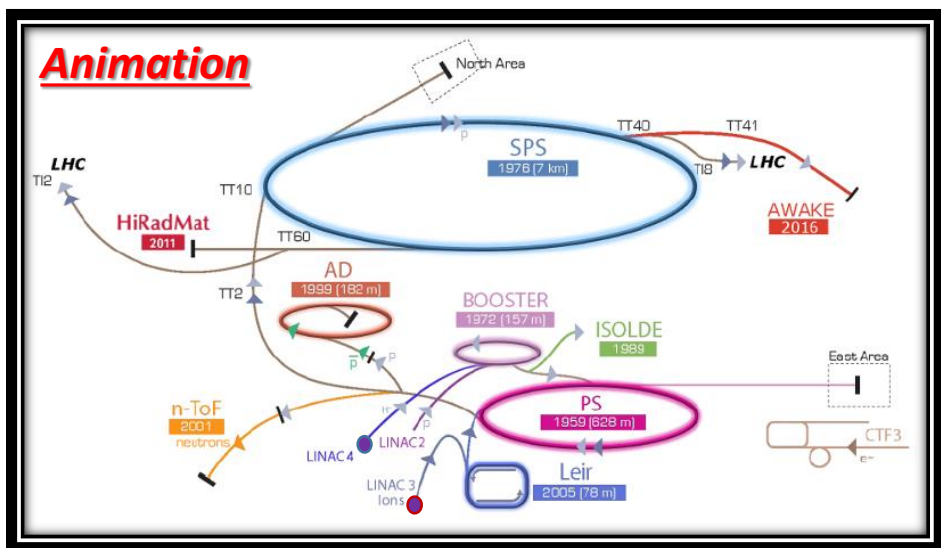
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CERN Supervisor (BE/RF/BR): E. Shaposhnikova



Introduction and motivations (1/3)

- After CERN upgrade (LS2) in 2021 the LHC injection chain will be upgraded and more demanding beam parameters will be required.
 - Simulations in longitudinal plane needed to foresee beam stability issues.
 - Need of a longitudinal beam dynamics code able to simulate acceleration ramps with machine-dependent features in a reasonable time -> **CERN BLongD code**.



- CERN machines studied during my PhD:
 - PSB (protons)
 - SPS (ions)

Introduction and motivations (2/3)

- Main changes in the PSB after LS2 interesting for the longitudinal plane:
 - Higher injection energy through Linac4 and different injection schemes.
 - Higher extraction energy through new magnet power supplies.
 - Higher acceleration rate.
 - Different momentum program.
 - Different RF systems.
 - Different space charge and impedances.
 - Higher intensities, higher controlled longitudinal emittance blow-up required at extraction for CERN PS.

Introduction and motivations (3/3)

- After LS2 the peak luminosity has to increase:
 - Number of bunches in the LHC has to increase or equivalently the bunch spacing has to decrease (from 100 ns to 50 ns).
 - Bunch-splitting or batch compression difficult to perform in the PS.
 - Proposed alternative: momentum slip-stacking in the SPS to interleave two batches in longitudinal plane and reduce bunch spacing
- SPS not presented here:
 - For brevity reasons
 - Work in progress...

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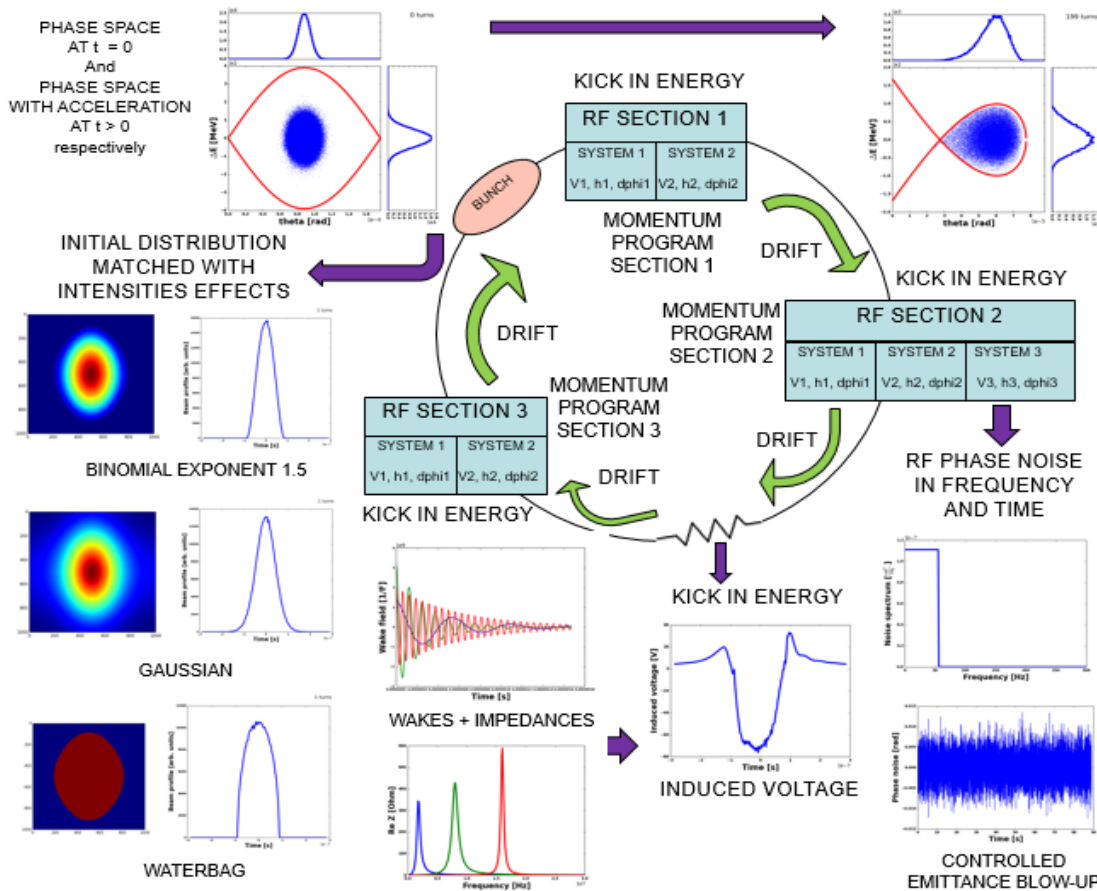
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BLonD main features (1/2)

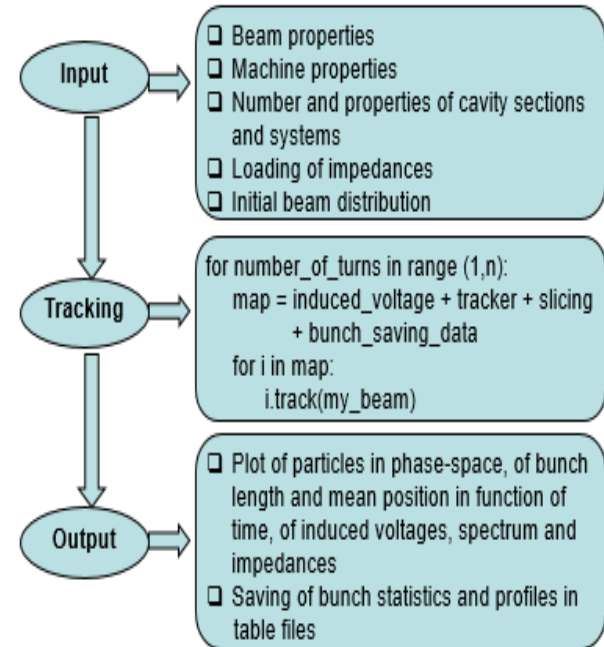
- BLonD is a Beam Longitudinal Dynamics simulation code for synchrotrons developed at CERN by me and other BE/RF colleagues.
- All LHC injector chain machines have been simulated with BLonD (SPS was the first **Refs [1], [2]**)
- Main features:
 - Python and C++
 - Single and multi-bunch options
 - Acceleration, multiple RF systems, multiple RF stations
 - RF manipulations
 - Collective effects in frequency and time domain
 - Low-power level RF options (phase noise, beam and cavity-based feedbacks...)
 - Monitoring, plotting, data analysis
 - Documentation

BLonD main features (2/2)

◆ Example of model adopted and code capabilities



◆ Code diagram



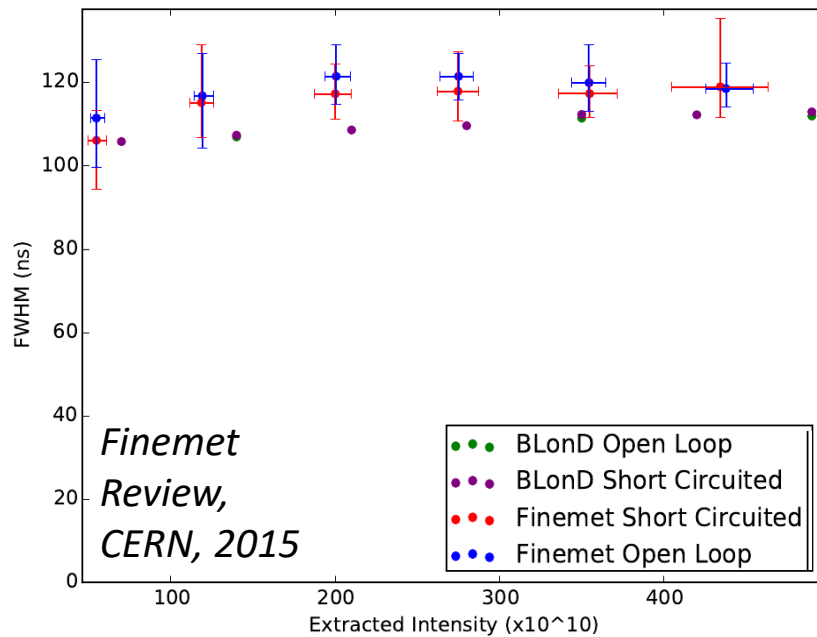
Longitudinal equations of motion

$$\Delta E^{(n+1)} = \Delta E^{(n)} + q \sum_i V_i \sin \left(\omega_{i,rf}^{(n)} \Delta t^{(n)} + \varphi_{i,rf}^{(n)} \right) - \beta_s^{(n+1)} c \left(p_s^{(n+1)} - p_s^{(n)} \right) + E_{ind}^{(n)} (\Delta t^{(n)})$$

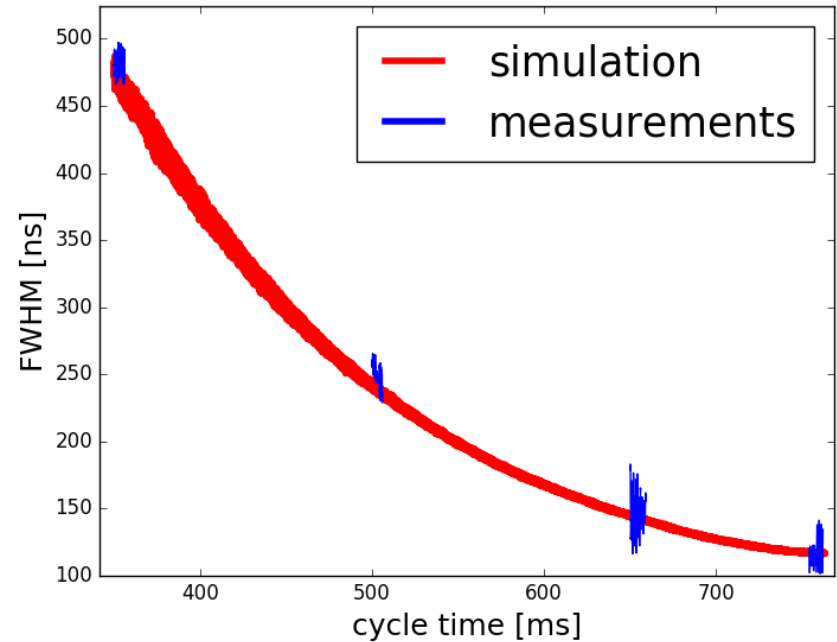
$$\Delta t^{(n+1)} = \Delta t^{(n)} + T_{rev}^{(n+1)} \eta^{(n+1)} \delta^{(n+1)} \quad \delta \doteq \frac{\Delta p}{p_s} = \frac{\Delta E}{\beta_s^2 E_s} \quad \Delta E^{(n)} \doteq E^{(n)} - E_s^{(n)} \quad \Delta t^{(n)} \doteq t^{(n)} - \sum_{k=1}^n T_{rev}^{(n)}$$

Examples of benchmarking: measurements

- Comparison with PSB measurements, **good agreement**



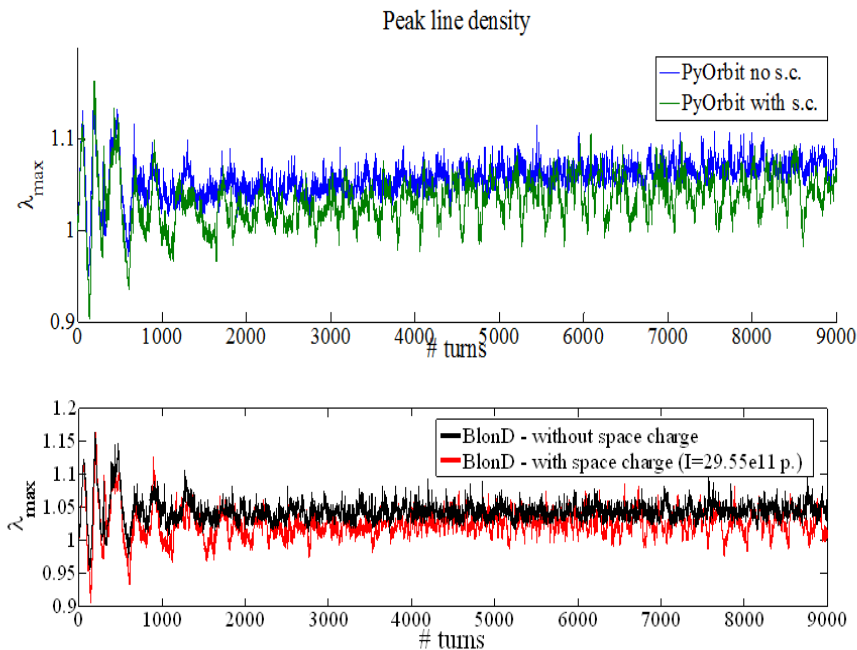
FWHM bunch length at PSB extraction for various intensities, full ramp simulation



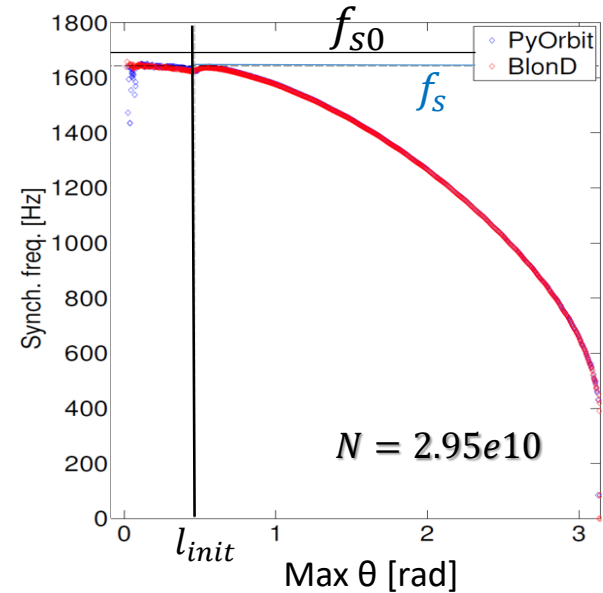
Acceleration in single RF with full impedance model.

*Bunch length during ramp, $N = 5 \times 10^{12}$.
Significant shot-to-shot variations in bunch length in measurements.*

Examples of benchmarking: PTC-PyOrbit



PSB simulations at 160 MeV with
space charge in a double RF system
⇒ **Also good agreement**

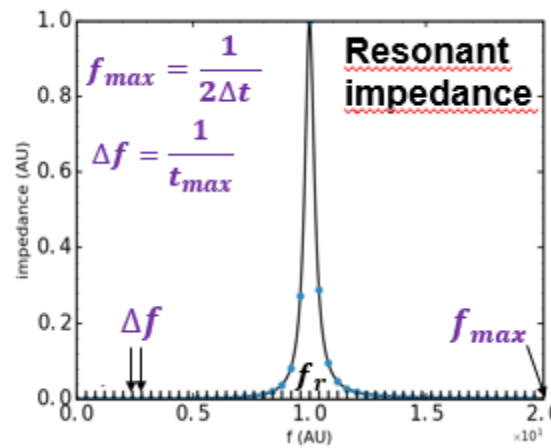
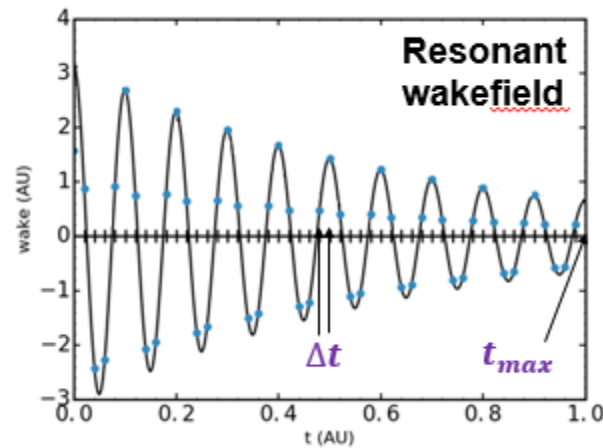


$$f_s = f_{s0} \sqrt{1 - \frac{3 e N f_{rev}}{\pi^2 h V} \left(\frac{C}{l}\right)^3 \left[\frac{Z}{n}\right]_{SC}}$$

Synchrotron frequency distribution for a
matched parabolic bunch with space
charge below transition => **perfect
agreement**

Examples of benchmarking: Music (1/3)

- BLonD and MuSiC similarities:
 - Macro-particle models used to treat high number of particles
 - Same longitudinal equations of motion for single-particle dynamics
- BLonD and MuSiC differences:
 - MuSiC calculates the exact V_{ind} in time domain from wakes generated by resonant impedances. Only parameter: # macroparticles N_M
 - Slicing of the beam profile in BLonD, V_{ind} in time or frequency domain. Parameters: N_M , f_{max} (or Δt), Δf (or t_{max}).



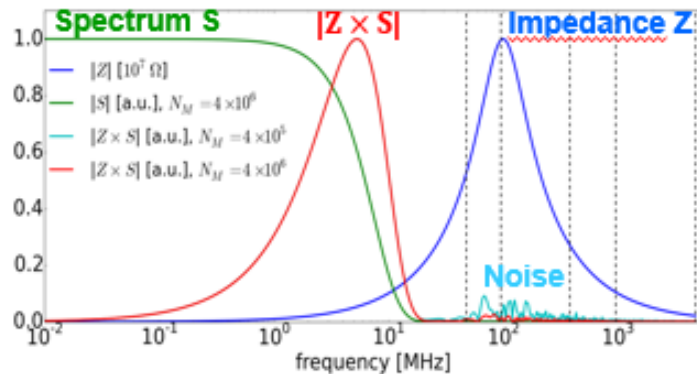
$$V_{ind}(\phi_i) = \frac{Q_{tot}}{N_M} \sum_{j=1}^{N_M} w_{\parallel}(\phi_i - \phi_j)$$

Total charge Q_{tot}
 Longitudinal coordinate ϕ_i
 Number of macro-particles N_M
 Single particle longitudinal wake w_{\parallel}

Examples of benchmarking: Music (2/3)

- **Short-range wake field example:**

- Broad-band resonator impedance with f_r higher than the bunch spectrum cut-off frequency is difficult to simulate in BLonD: fixed N_M , physical contributions are lost if f_{max} is too low and noise is included if f_{max} is too high.

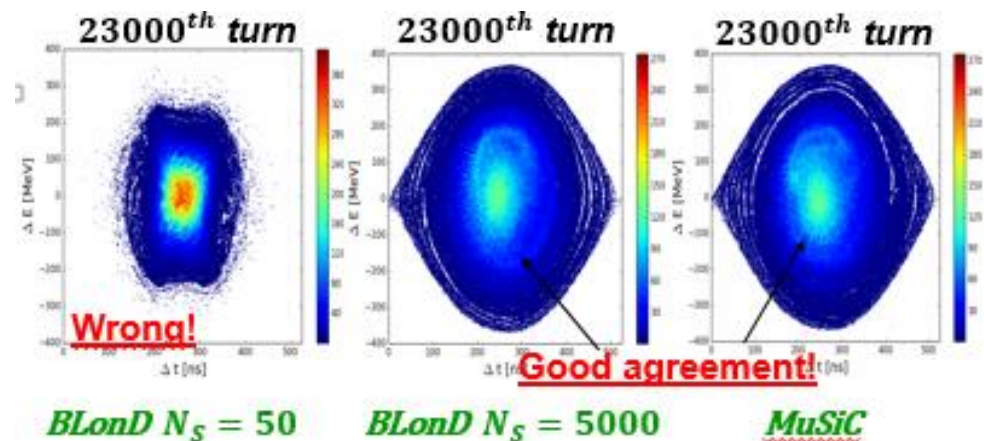
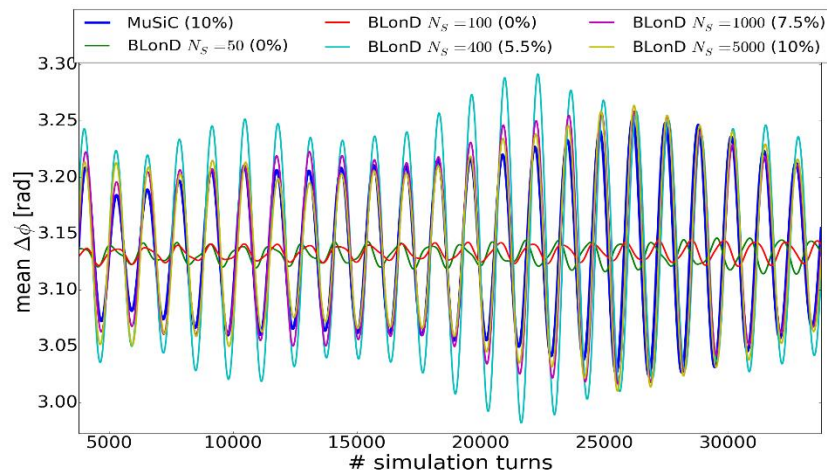


- High intensity effects, simulations should show filamentation, possible losses and later equilibrium in phase space.

- **Computational time:**

- The largest possible Δf in BLonD can be chosen, that is $\Delta f = f_0/N_S$.
- BLonD **faster** than MuSiC (factor 27).

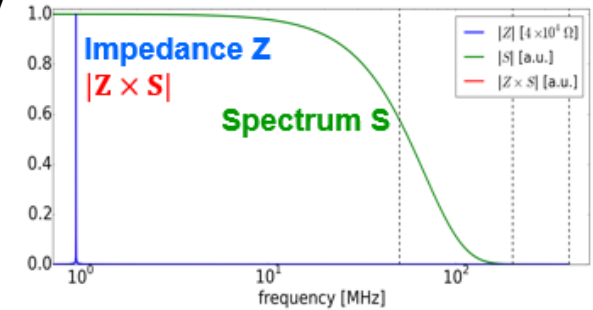
- **Results (BLonD in freq. domain):**



Examples of benchmarking: Music (3/3)

- **Long-range wake field example:**
 - Narrow-band resonator impedance with f_r lower than the bunch spectrum cut-off frequency is difficult to simulate in BLoND: wakefield can couple multiple revolution turns and f_{max} and Δf (or Δt and t_{max}) are not easily

- If $f_r = pf_0 + mf_s$, $p \in \mathbb{N}$, $m \in \mathbb{Z}$, then Robinson instability can be observed.



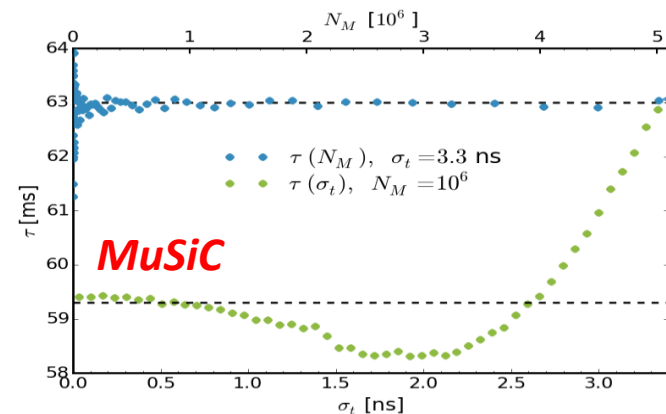
- **Growth-rate for a Gaussian bunch:**

$$\frac{1}{\tau_a} = \frac{-\pi\eta e^2 N_p}{E_0 T_0^2 \omega_s} \sum_{m=\pm 1} m x \operatorname{Re} Z(x) G_m(x\sigma_t)$$

$\text{Form factor} \downarrow$ $\text{Modified Bessel function of first kind} \downarrow$

$$G_m(s) = \frac{2e^{-s^2}}{s^2} I_m(s^2) \quad x = pf_0 + mf_s$$

- $\tau_a \approx 59.3$ ms and the instability growth time τ from MuSiC and BLoND should converge to τ_a for short bunches (no Landau damping effect).

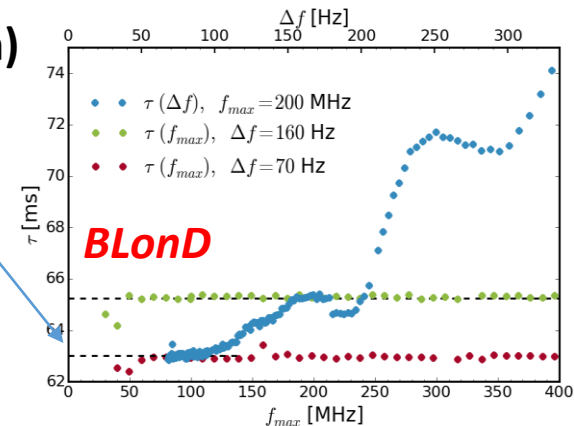


- **Results (BLoND time domain)**

➤ Good agreement

Computational time:

- BLoND acts unnecessarily also on empty buckets.
- MuSiC faster than BLoND (factor 5).



Code optimization

- Example of speed-up:
 - LHC ramp with feedbacks, no collective effects, single bunch
 - Histogram and tracking with 50000 particles and 100 bins on a PC, 1000 turns.

numpy.histogram, python tracker

Function/Module	Total Time	Local Time
▲ track	4.510	0.008
▲ slice_constant_space_histo...	3.477	0.006
▷ histogram	3.476	0.048
beam_coordinates	0.001	0.001
▷ gaussian_fit	1.024	0.014
convert_coordinates	0.001	0.001
▷ plot_long_phase_space	3.064	0.001
▲ track	1.877	0.008
▷ kick	1.456	1.455
▷ drift	0.385	0.216
kick_acceleration	0.027	0.027

C++ histogram, C++ tracker

Function/Module	Total Time	Local Time
▲ track	1.191	0.008
▷ gaussian_fit	0.993	0.014
▲ slice_constant_space_histo...	0.188	0.167
▷ data_as	0.048	0.016
__init__	0.026	0.026
beam_coordinates	0.001	0.001
▷ __getattr__	0.000	0.000
convert_coordinates	0.002	0.002
▷ loadtxt	1.113	0.335
▲ track	0.747	0.611
▷ drift	0.082	0.067
▷ data_as	0.048	0.016
__init__	0.026	0.026
▷ ascontiguousarray	0.016	0.006
▷ __getattr__	0.000	0.000

➤ RESULTS:

histogram: from 3.477 to 0.188

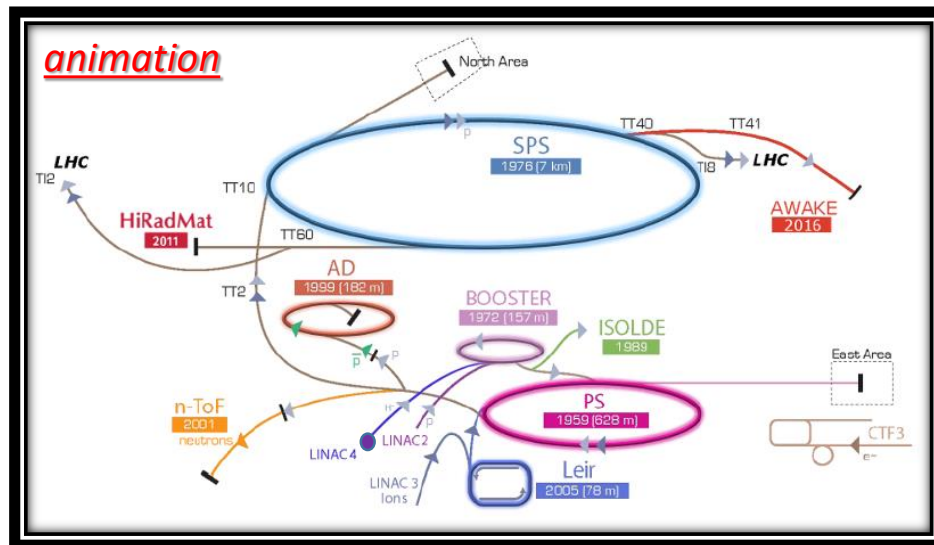
tracker: from 1.877 to 0.747

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Motivation remainder

- We need to analyse the situation after LS2:
 - Injection kinetic energy: 50 MeV \Rightarrow 160 MeV
 - Extraction kinetic energy: 1.4 GeV (ISOLDE) or 2 GeV (HL-LHC), now 1.4 GeV
 - Higher acceleration rate, more demanding beam parameters
 - RF systems: narrow-band ferrite \Rightarrow broad-band Finemet
(Finemet review, CERN, 2105, Refs [7], [8], [9], not discussed here for brevity)
- Longitudinal simulations to predict beam stability: Refs [10], [11], [12], [13]
 - Realistic impedance model (cavities, ...)
 - Reliable estimation of space charge - dominant impedance source
 - Realistic LLRF feedbacks modeling



After LS2 relevant PSB parameters:

$$\begin{aligned}
 E_{kin} &: 160 \text{ MeV} \rightarrow 1.4 \text{ GeV} \rightarrow 2 \text{ GeV} \\
 \beta &: 0.52 \rightarrow 0.92 \rightarrow 0.95 \\
 \gamma &: 1.17 \rightarrow 2.49 \rightarrow 3.13 \\
 T_{rev} &: 1008 \text{ ns} \rightarrow 570 \text{ ns} \rightarrow 552 \text{ ns} \\
 f_{rev} &: 0.99 \text{ MHz} \rightarrow 1.75 \text{ MHz} \rightarrow 1.81 \text{ MHz} \\
 f_{sync}^{V=8kV} &: 1.68 \text{ KHz} \rightarrow 0.41 \text{ KHz} \rightarrow 0.26 \text{ KHz} \\
 & \quad \mathbf{h=1 \text{ or } h=1 \ \& \ h=2}
 \end{aligned}$$

Space charge impedance at 160 MeV: rough estimations

- First estimation, on-axis potential

Impedance free space

$$\frac{Z_{SC}}{n}^{(*)} = \frac{Z_0}{2\beta\gamma^2} g = \frac{Z_0}{2\beta\gamma^2} \left(1 + 2\log\frac{b}{a}\right) = 795.8 \Omega$$

- Second estimation, average potential over $\sigma_{x,y}$

$$\frac{Z_{SC}}{n}^{(*)} = \frac{Z_0}{2\beta\gamma^2} \left(0.5 + 2\log\frac{b}{a}\right) = 663.7 \Omega$$

- Third estimation, using measurement (S. Hancock et al.) $g(100 \text{ MeV}) = 2$ and rescaling

Norm. transverse emittance

$$a(E_k) \propto \frac{\sqrt{\epsilon_N}}{\sqrt{\beta(E_k)\gamma(E_k)}} \quad \frac{Z_{SC}}{n} = \frac{Z_0}{\beta\gamma^2} \left\{1 + \frac{1}{2} \ln \frac{\beta\gamma}{\beta\gamma(100 \text{ MeV})}\right\} = 595.5 \Omega$$

=> Too wide range, more accurate estimation was needed!

(*) formulae valid for round uniform beam in circular chamber

$$\sigma_{x,y} \approx 5.5 \text{ mm}$$

30 mm is the lowest half-height of all the PSB chambers



$$b = \text{radius chamber} = 30 \text{ mm}$$

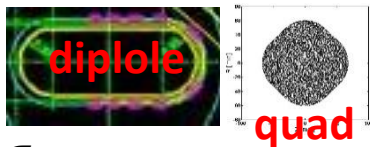
$$a = 2\sigma_{x,y} = \text{radius beam} = 11 \text{ mm}$$

Space charge impedance at 160 MeV: more accurate calculations

- The code LSC developed at SLAC [7] was used

MAIN INPUT:

- Gaussian transverse distribution
- ring divided in 211 parts according to chamber cross-section



- σ_X, σ_Y

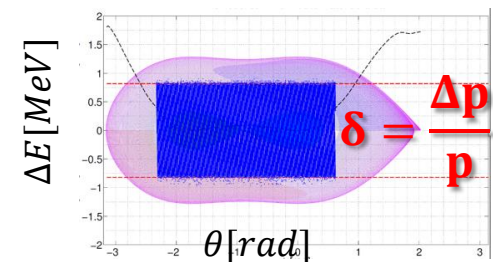
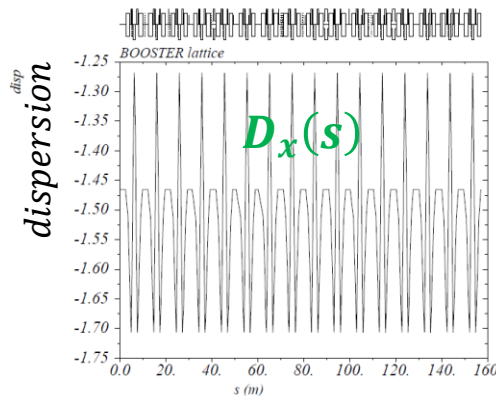
$$\nabla^2 \mathbf{E} - \frac{1}{c^2} \frac{\partial \mathbf{E}}{\partial t} = \frac{\nabla \rho}{\epsilon_0} + \mu_0 \frac{\partial \mathbf{J}}{\partial t}$$

LSC

OUTPUT:

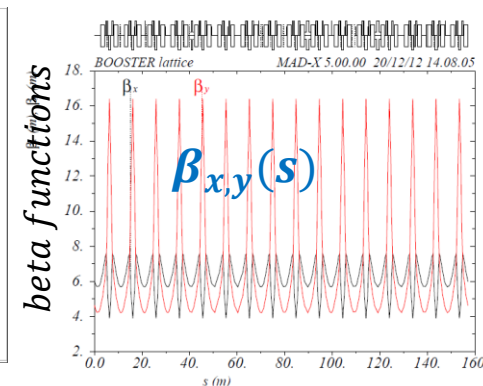
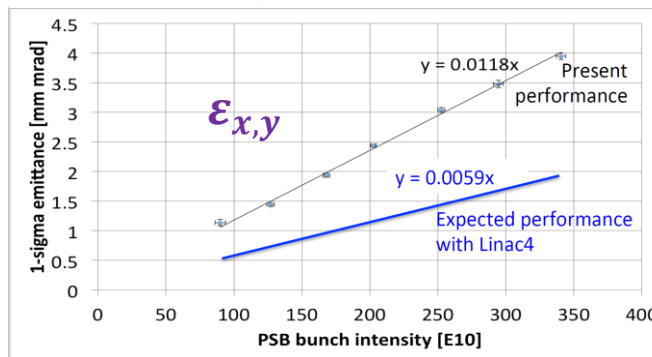
- Z/L averaged over 1σ

$$\frac{Z}{n} = \sum_{i=1}^{211} L_i \left(\frac{Z}{n L} \right)_i = 633.14 \Omega$$



$$\sigma_x(s) = \sqrt{\epsilon_x \beta_x(s) + D_x^2(s) \delta^2}$$

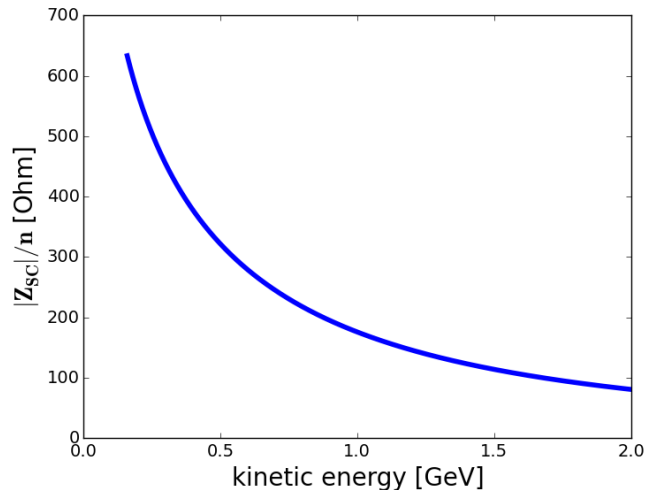
$$\sigma_y(s) = \sqrt{\epsilon_y \beta_y(s)}$$



Space charge impedance during cycle

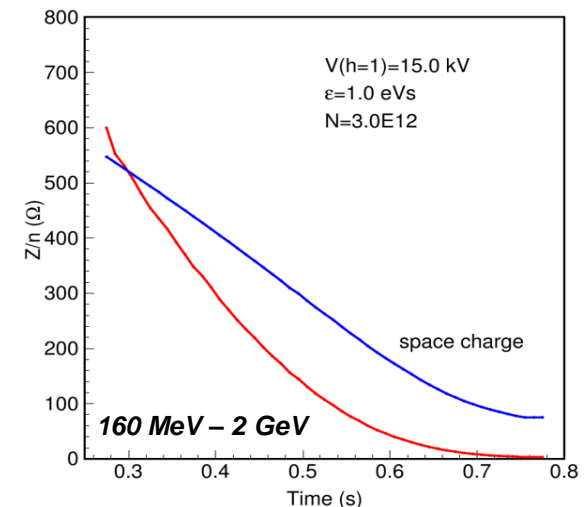
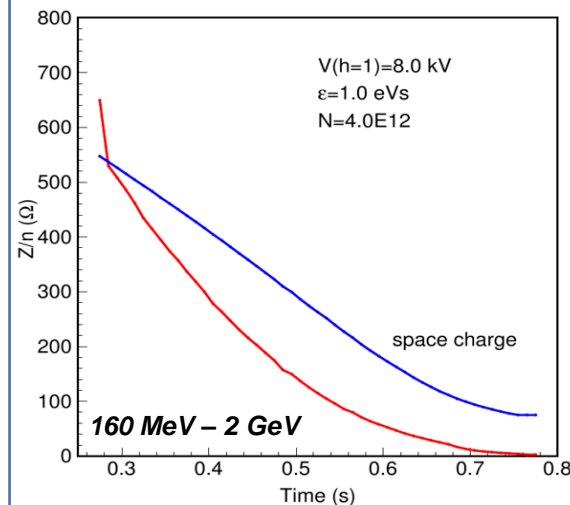
- Scaling based on value at 160 MeV of 633.14 Ohm => used in all simulations

$$\frac{|Z_{SC}|}{n}(E_k) = \frac{Z_0}{\beta(E_k)\gamma(E_k)^2} \left(1.2 + \frac{1}{2} \ln \frac{\beta(E_k)\gamma(E_k)}{\beta(160 \text{ MeV})\gamma(160 \text{ MeV})} \right)$$



- **Factor 8 change during cycle, but the SC effect is reduced much less due to bunch length reduction!**

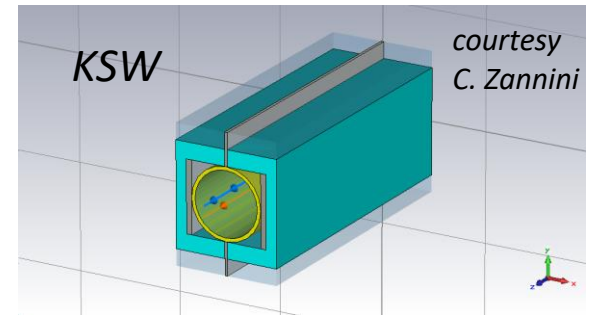
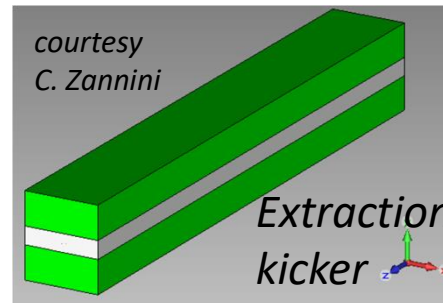
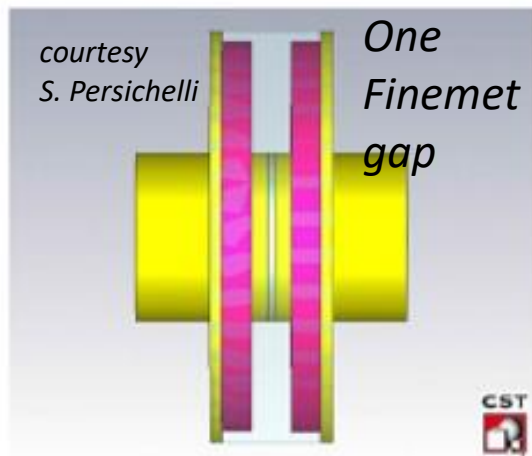
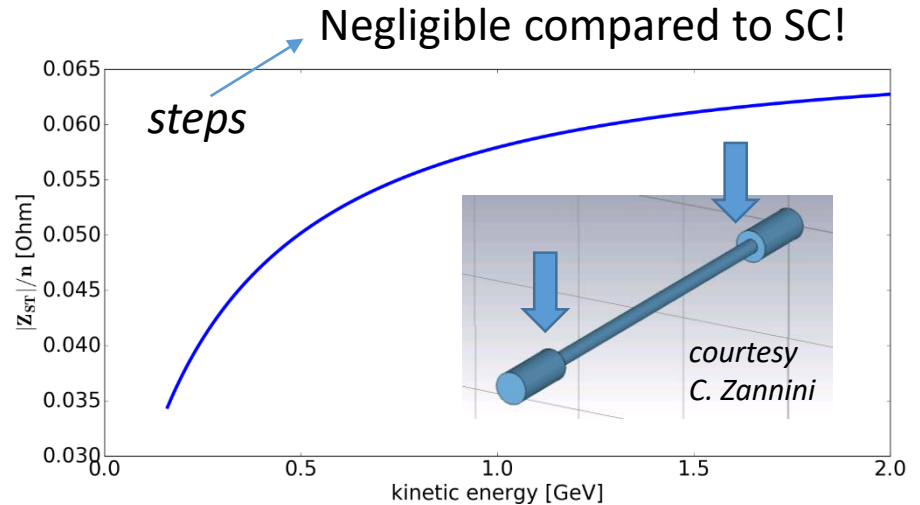
- Loss of Landau damping in single RF for both HL-LHC and ISOLDE beams
- *Landau damping in a single RF is lost for the whole cycle above $\sim 3e12$*
- *Oscillations will be damped by phase loop*



PSB impedance model

- Space charge +
 - Finemet cavities
 - **Extraction kickers**
 - Extraction kicker cables
 - KSW magnets
 - **Resistive wall**
 - **Steps** (beam pipe discontinuities)

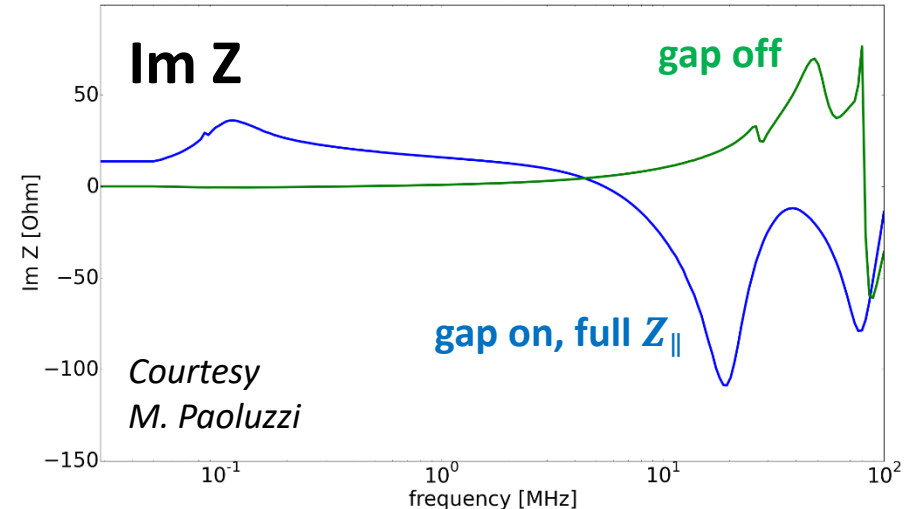
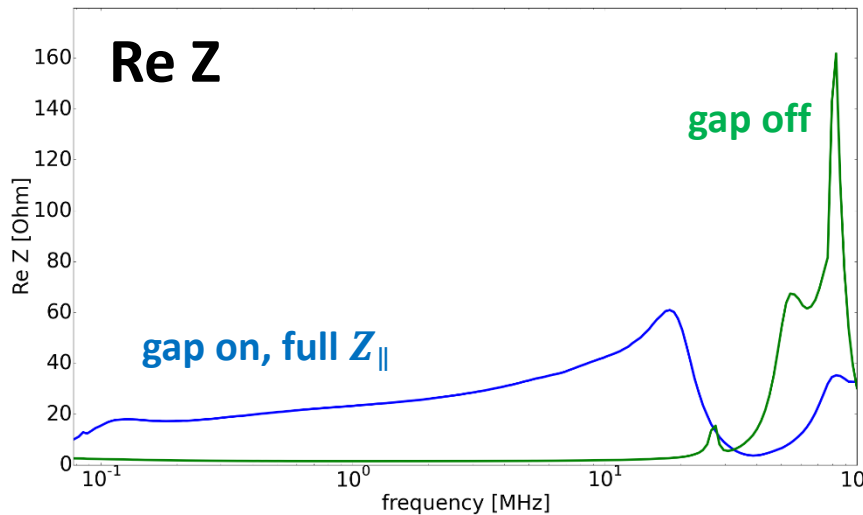
Impedances in red depend on the beam energy



Space charge and Finemet are the main sources.

Finemet cavities impedances

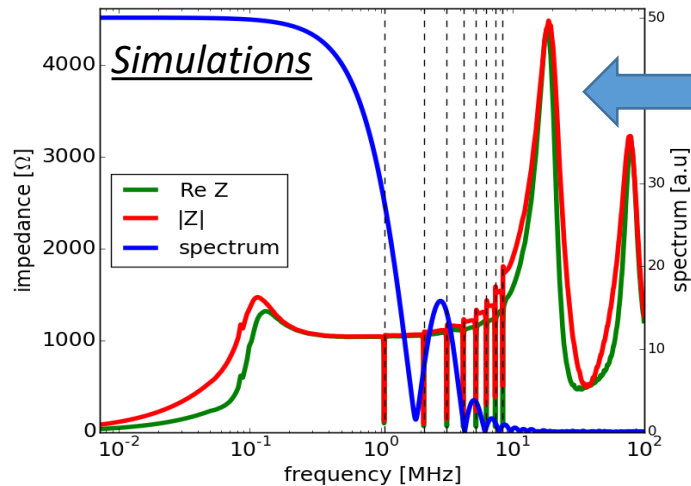
- Three Finemet cavities (36 gaps) will be installed in each ring for total V of 24 kV
 - Three possible configurations:
 - Short circuited gap off (**green**), gap on with open loop (**blue**), gap on with closed loop (next slide)
- no cavity feedbacks* *with cavity feedbacks*



- f_{rev} varies from 0.99 MHz to 1.81 MHz ➡ **short circuited impedance is very small for beam!**
- No dependence on the beam energy

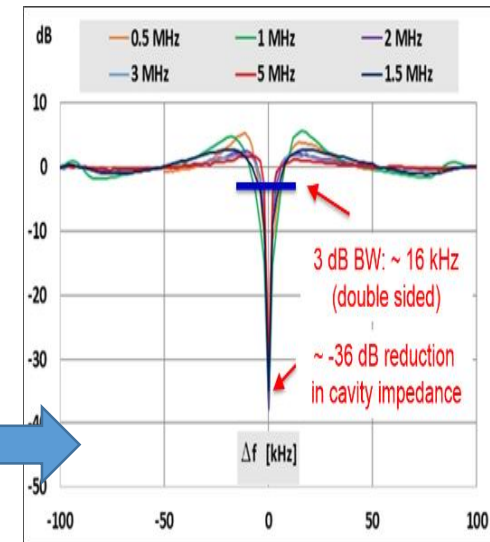
Full PSB impedance model with Finemet closed-loop

At 300 ms (frequency domain)



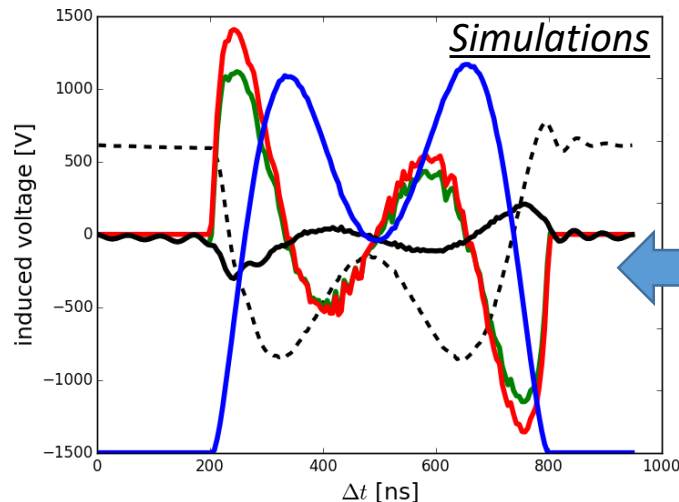
- Finemet impedance is reduced at first 8 (16) revolution harmonics through LLRF feedback (notches).
- In simulations notches are reproduced taking into account the measured feedback transfer function.

Measurements



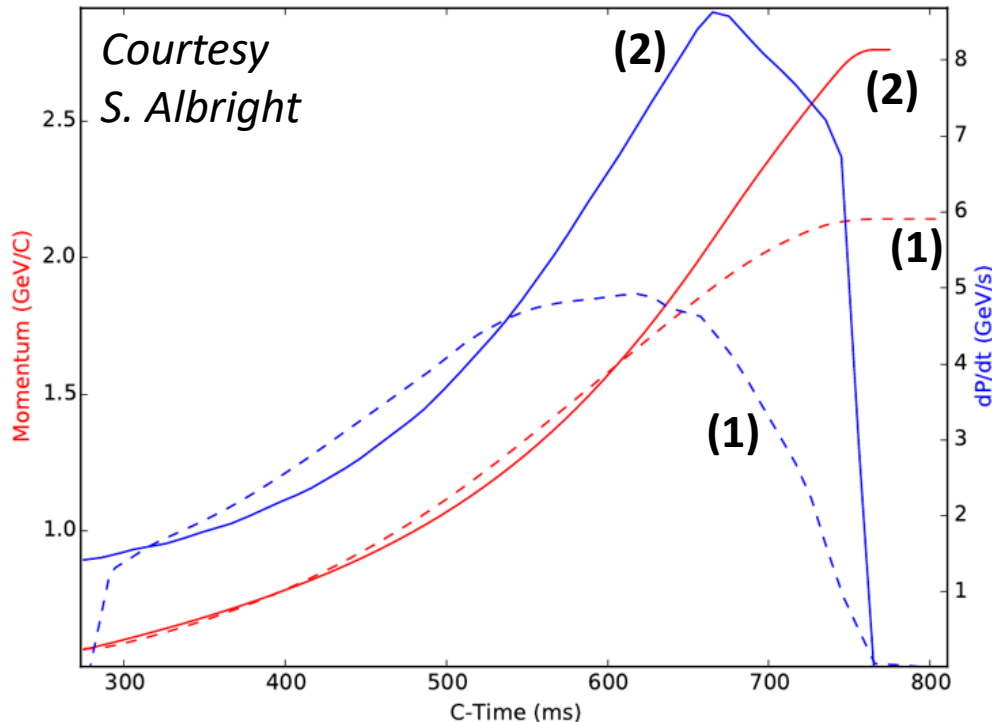
Courtesy M. Paoluzzi

At 300 ms (time domain)



- **Bunch profile** (1 eVs) in double RF (bunch lengthening mode).
- **Multi-turn induced voltage** as the sum of **space-charge** and **Finemet voltage with reduction by feedback**.
- Finemet voltage without reduction is in dashed line

Cycles



Two different momentum programs

1. 160 MeV \rightarrow 1.4 GeV
 - $N = 1.6e13$ (ISOLDE)

2. 160 MeV \rightarrow 2 GeV
 - $N = 3.6e12$ (HL-LHC)
 - $N = 1.6e13$ (high-intensity)

Most interesting and critical cases!

- Cycle length = 1.2s (the same as now)
- Injection-extraction: C275 \rightarrow C775
- Faster acceleration than now for HL-LHC beams (and faster deceleration at the end)
- Injection at $\dot{B} > 0$

- No longitudinal painting at injection in simulations
- Bunch emittance = 1 eVs after filamentation

Beam-based feedbacks

- The main goal of the phase loop is to damp the rigid-bunch dipole oscillations reducing the difference between the beam and designed synchronous phases $\Delta\varphi_{b,rf}$.
- The aim of the radial loop is to maintain the beam orbit at the design one.

Total phase difference $\Delta\varphi = \Delta\varphi_{b,rf} + \varphi_{noise}$

Relative difference between beam orbit and design radii

$$\frac{\Delta R}{R_d} = \frac{\Delta\omega_{rf}}{\omega_{rf,d}} \frac{\gamma^2}{\gamma_t^2 - \gamma^2}$$

$$V_{rf} = V_1 \sin(\omega_{rf} t)$$

RF frequency corrections by phase and radial loops

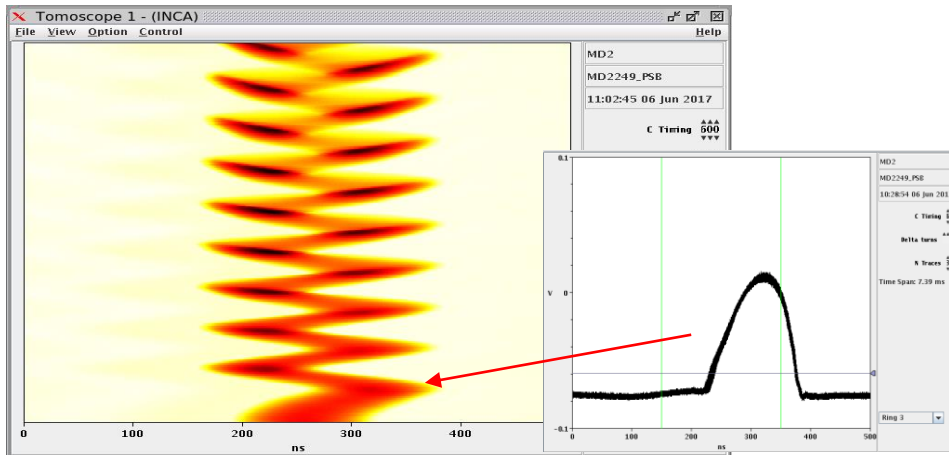
$$\begin{aligned}\Delta\omega_{pl}^{n+1} &= a_1 \Delta\omega_{pl}^n + g_{pl}(b_0 \Delta\varphi^n - b_1 \Delta\varphi^{n-1}) \\ \Delta\omega_{rl}^{n+1} &= \Delta\omega_{rl}^n + (g_p + g_i) \left(\frac{\Delta R}{R_d}\right)^n - g_p \left(\frac{\Delta R}{R_d}\right)^{n-1} \\ \omega_{rf}^{n+1} &= \omega_{rf,d}^{n+1} + \Delta\omega_{rf}^{n+1} = \omega_{rf,d}^{n+1} + \Delta\omega_{pl}^{n+1} + \Delta\omega_{rl}^{n+1}\end{aligned}$$

- **Model not perfect:** phase loop calibration between measurements and simulations necessary to have correct values for g_{pl} in simulations
- Correct values of g_{pl} are important for phase loop studies and also for noise injection (see later)

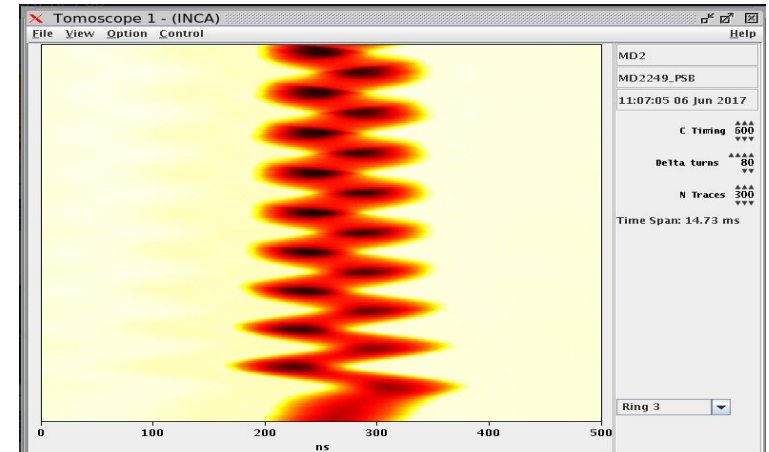
Phase-loop calibration: measurements

- Check dipole oscillations damping time with phase loop on after phase kick.
- Scan different gains, from 0 (off) to 0.5.

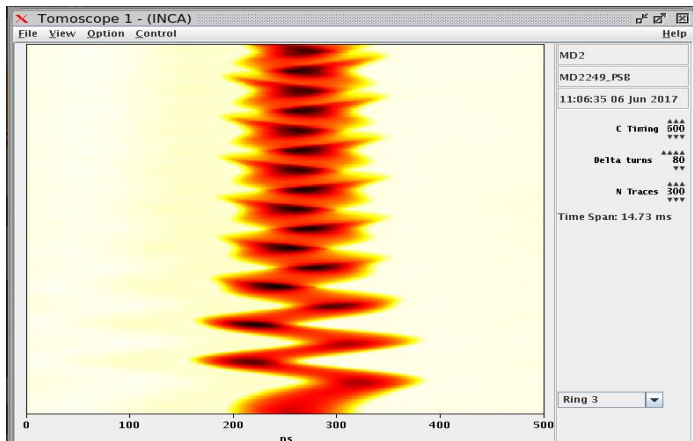
Gain 0



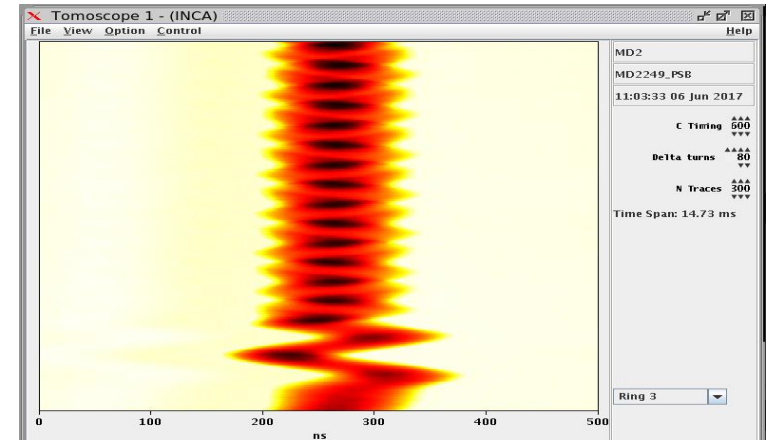
Gain 0.01



Gain 0.05



Gain 0.5

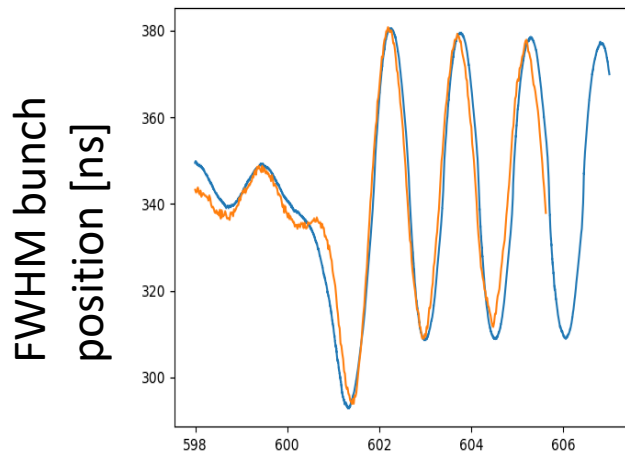


Phase-loop calibration: results

- Match bunch position evolution in measurements and BLonD to calibrate gains.

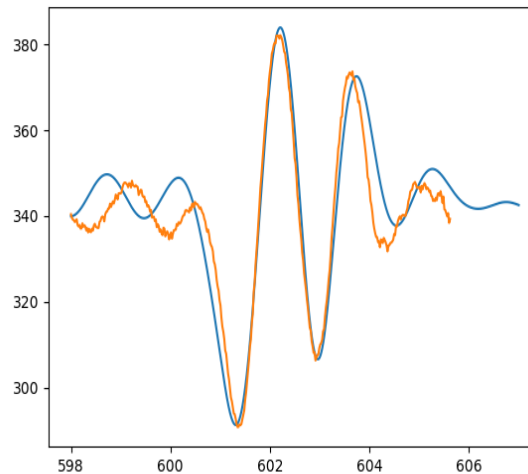
Meas: 0 phase shift, 0 gain

BLonD: 2 rad, 0 gain



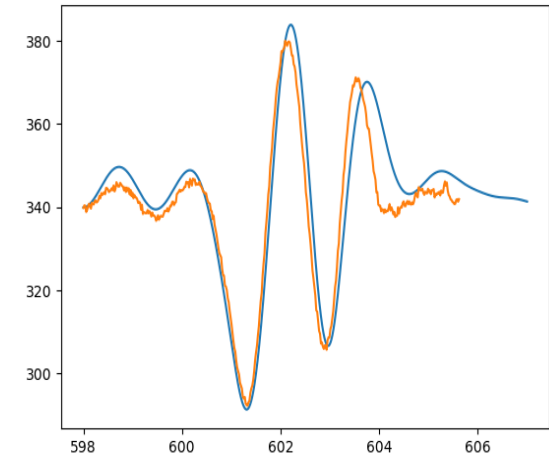
Meas: 0 phase shift, 0.2 gain

BLonD: 2 rad, 1.84e3 gain



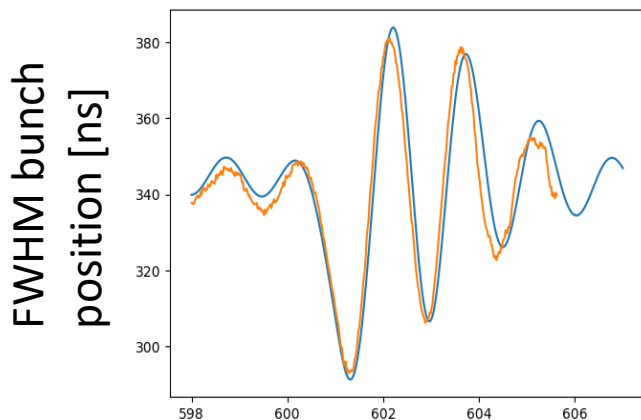
Meas: 0 phase shift, 0.4 gain

BLonD: 2 rad, 2.5e3 gain



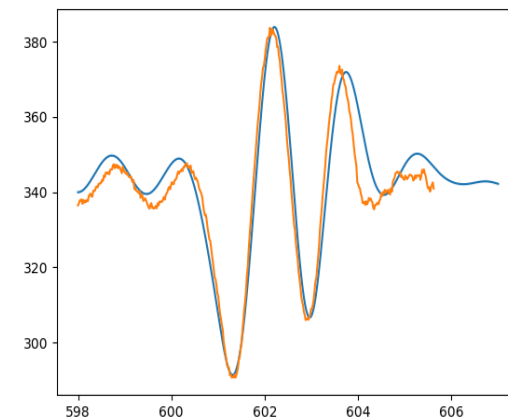
Meas: 0 phase shift, 0.1 gain

BLonD: 2 rad, 0.92e3 gain



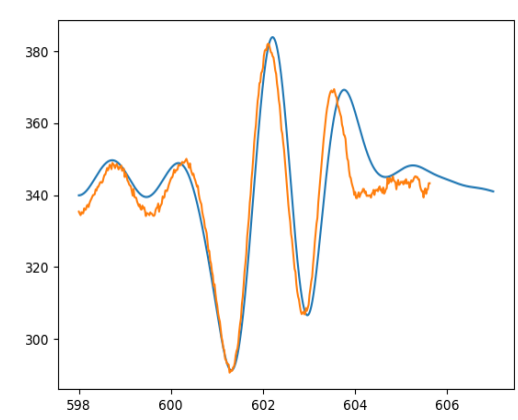
Meas: 0 phase shift, 0.3 gain

BLonD: 2 rad, 2e3 gain



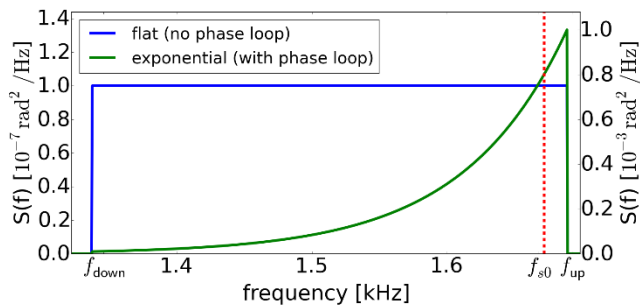
Meas: 0 phase shift, 0.5 gain

BLonD: 2 rad, 2.8e3 gain

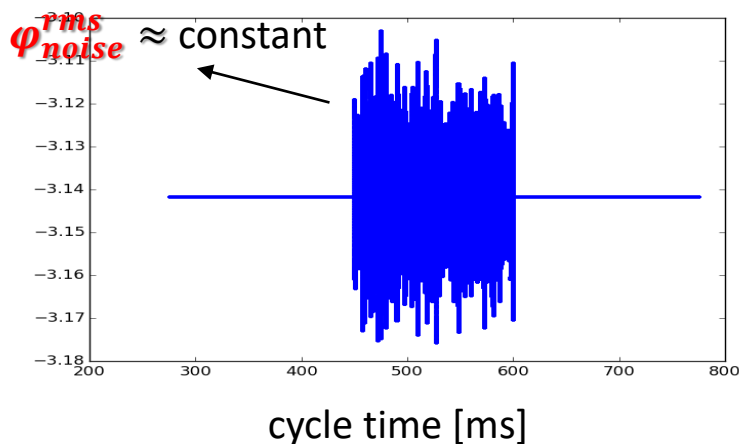


Band-limited RF phase noise

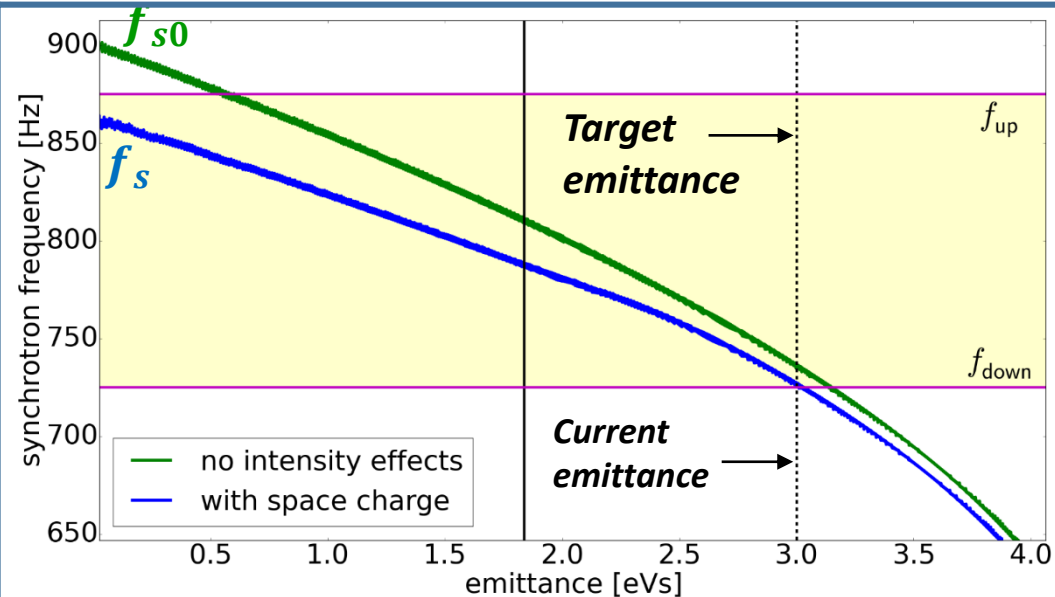
- Current blow-up with high harmonic phase modulation from dedicated RF system, difficult to set, control in operation and reproduce in simulations
- Can band-limited RF phase noise in $h=1$ substitute this method saving also some dedicated RF voltage?



$$\varphi_{\text{noise}} = \text{IDFT}\left(\text{DFT}(N(t)) \cdot \sqrt{f_{\text{rev}} S(f)}\right)$$



$$V_{rf} = V_1 \sin(\omega_{rf,d} t + \varphi_{\text{noise}})$$

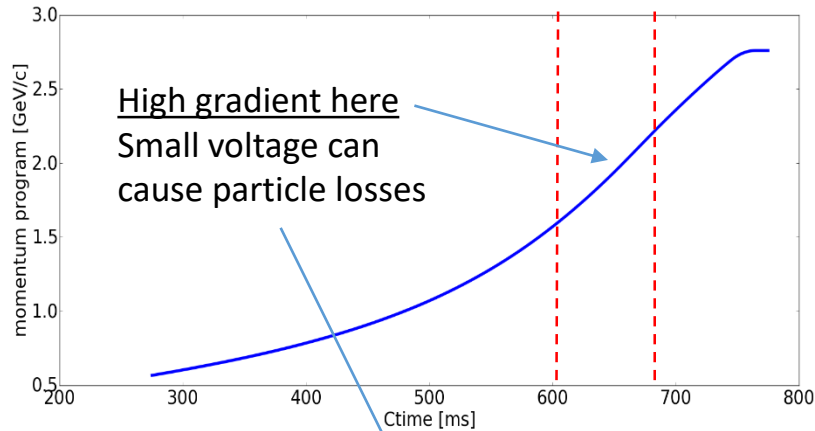


- Example of synchrotron frequency distribution in single RF in PSB.
- The bunch emittance increases from 1.8 eVs to 3 eVs applying phase noise in the band [725 Hz, 875 Hz].
- Space charge lowers the synchrotron frequency (PSB below transition) and the band should follow the decrease.

Refs [15], [16]

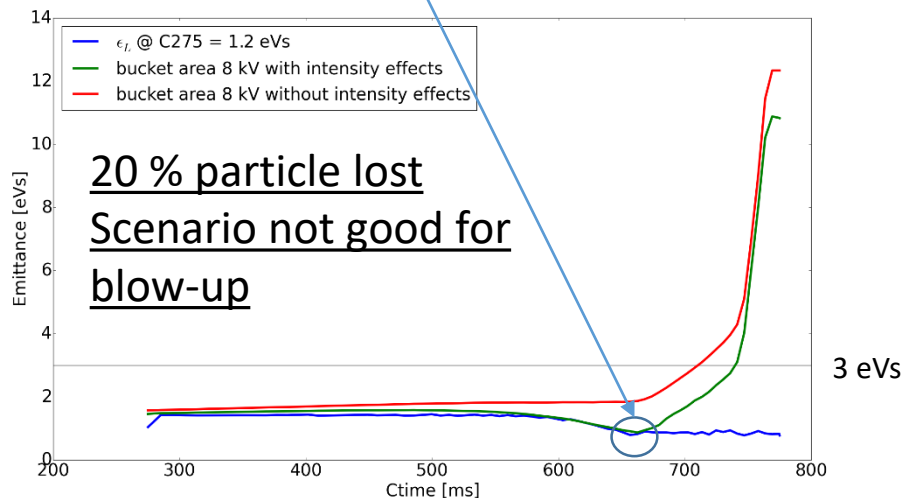
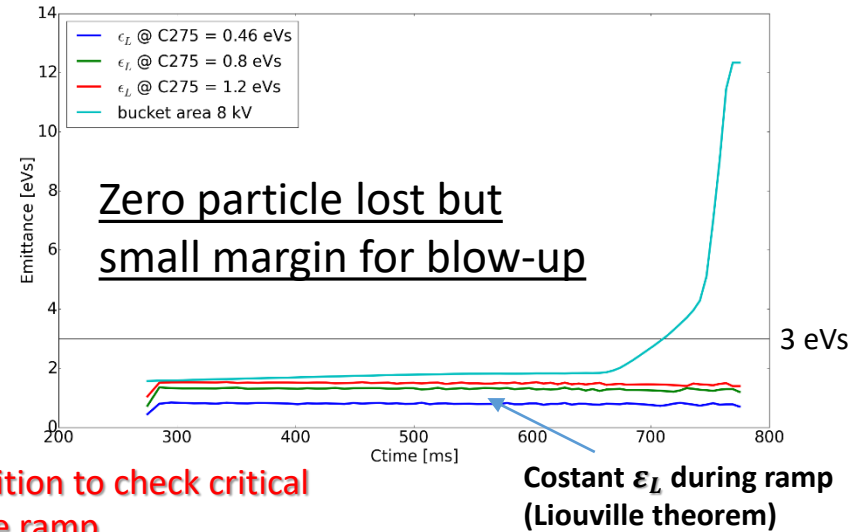
Simulations LHC beams: constant 8 kV

smooth momentum program

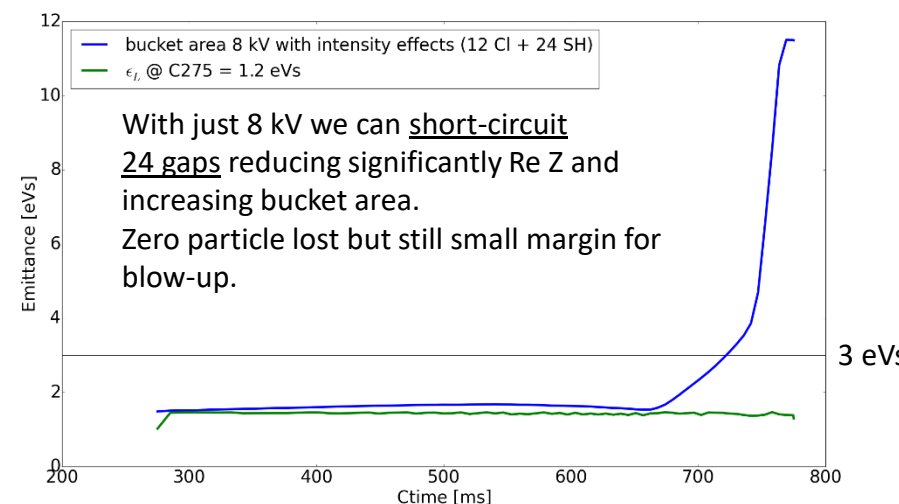


Here ϵ_L according to vc1 definition to check critical points during the ramp

1) No blow-up, no intensity effects



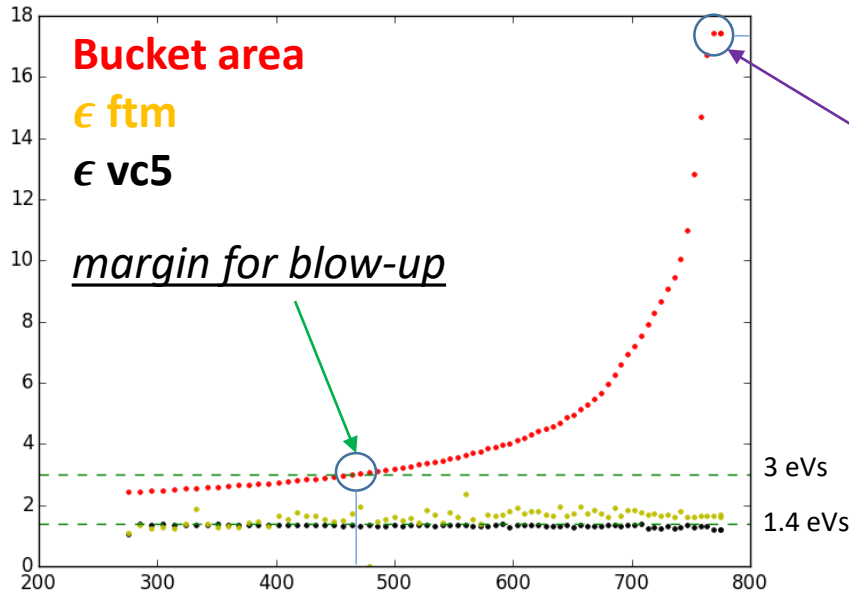
2) No blow-up, with intensity effects (open-loop for Finemet gaps)



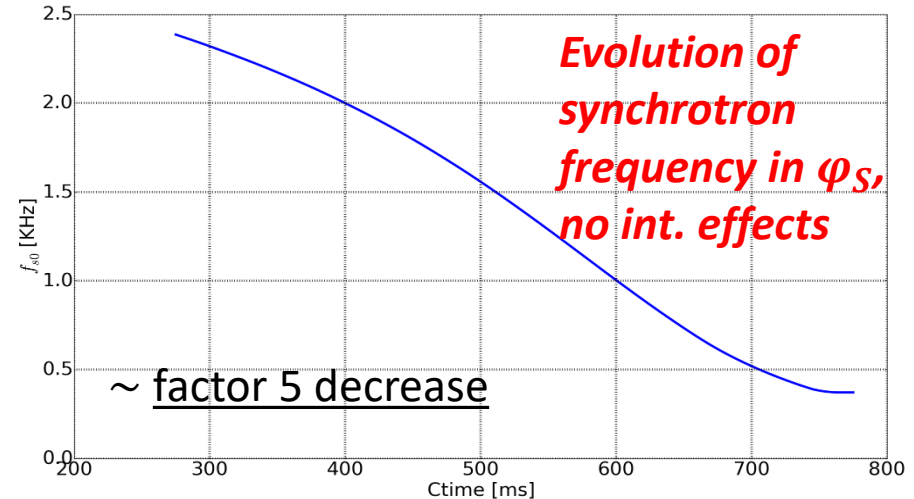
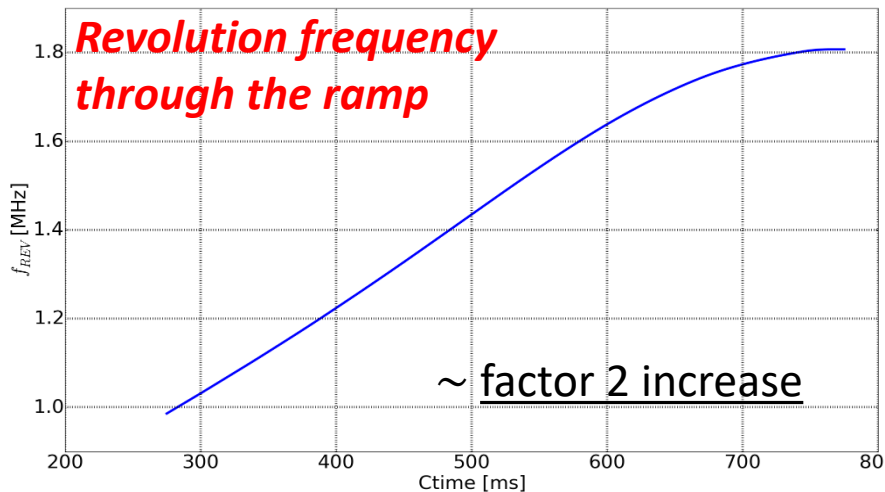
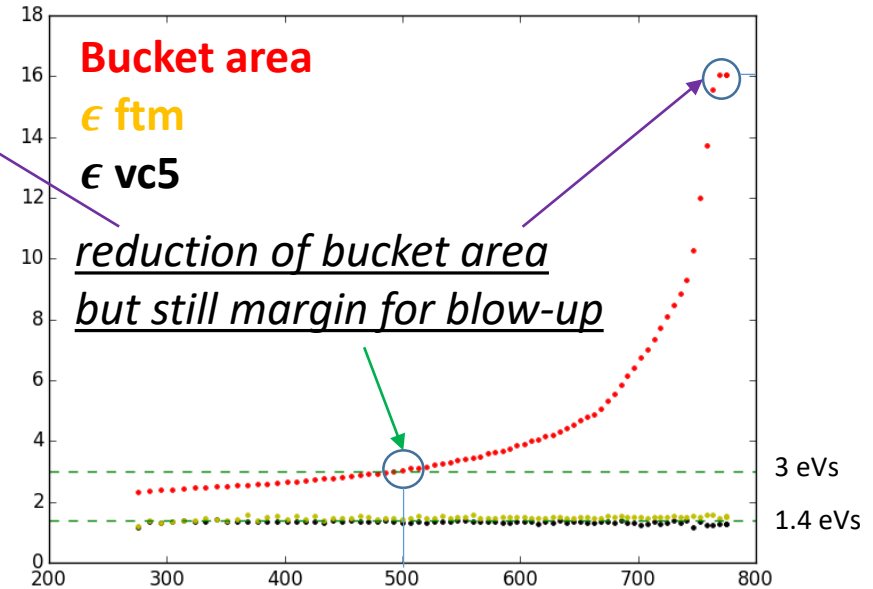
3) No blow-up, with intensity effects and short-circuiting some Finemet gaps

Simulation LHC beams: constant 16 kV²⁸

1) No blow-up, no intensity effects



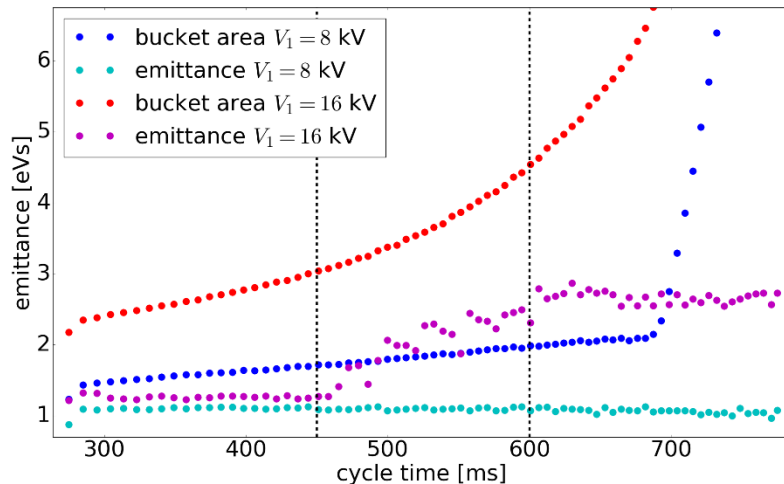
2) No blow-up, with intensity effects



The RF noise must be regenerated to follow f_{REV} and f_{s0} !

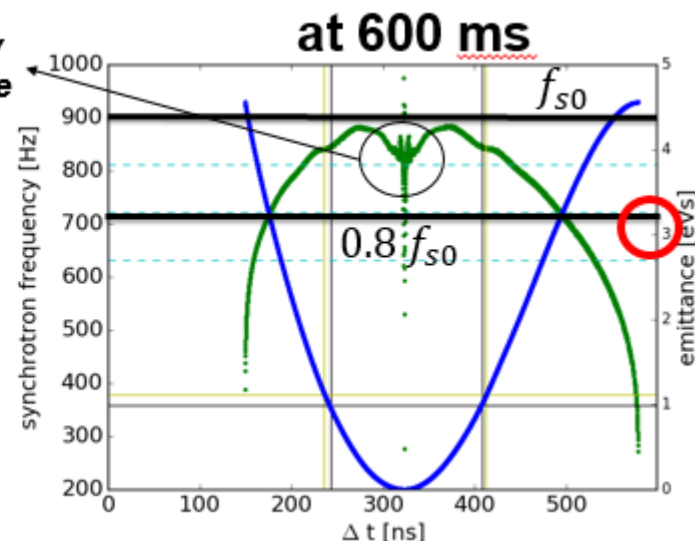
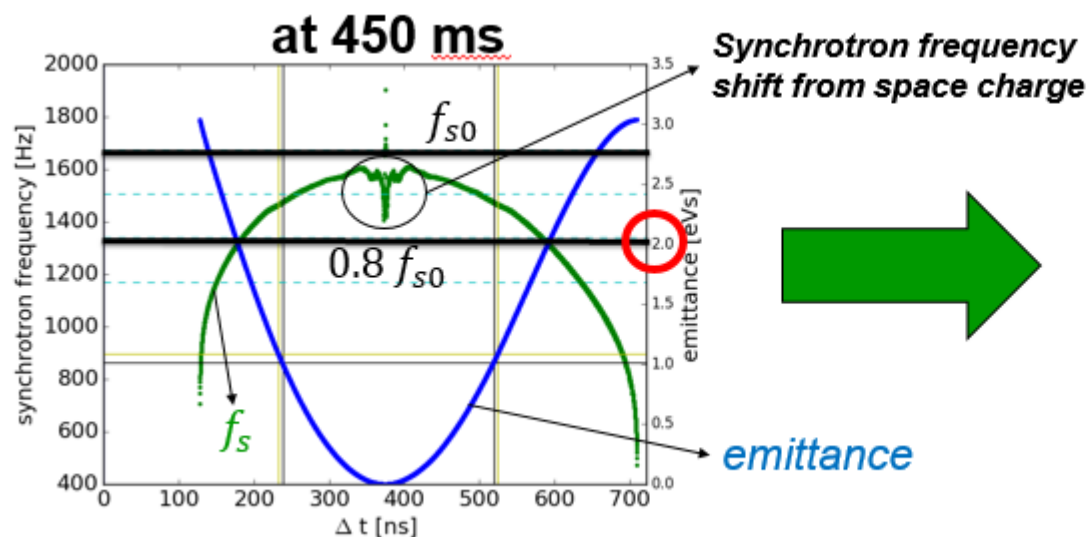
Simulation LHC beams: constant 16 kV 29

3) With blow-up, with intensity effects, no feedbacks



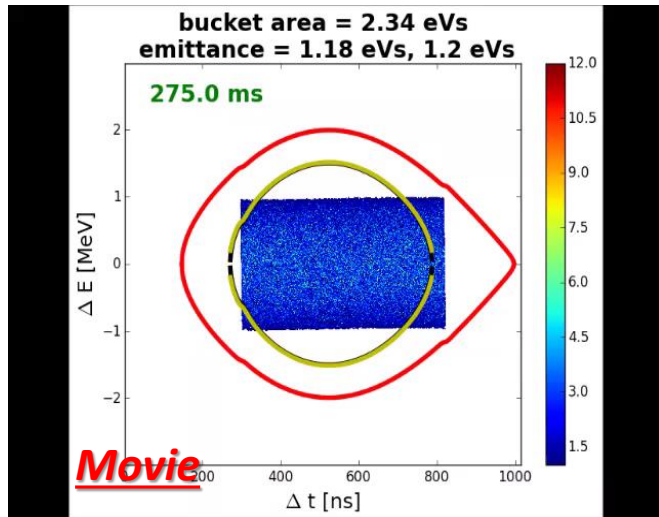
Few time margin for blow-up with 8 kV
1 eVs \rightarrow 3 eVs with 16 kV, no losses

- TARGET INTERVAL : C450-C600
- SPECTRUM BAND = $[0.8 f_{s0}, f_{s0}]$
- choosing $0.8 f_{s0}$ the targeted matched area increases from 2 eVs to 3 eVs in [C450, C600], see Figures
- every 5000 turns we generate a new sample of noise to follow f_{REV} and f_{s0}
- $S(0)$ is increased until the desired blow-up is obtained
- $S(t) = S(0) \frac{f_{s0}(0)}{f_{s0}(t)}$, spectrum amplitude rescaled with f_{s0} to have the same rms σ_{φ_noise} during the ramp



Simulation LHC beams: constant 16 kV 30

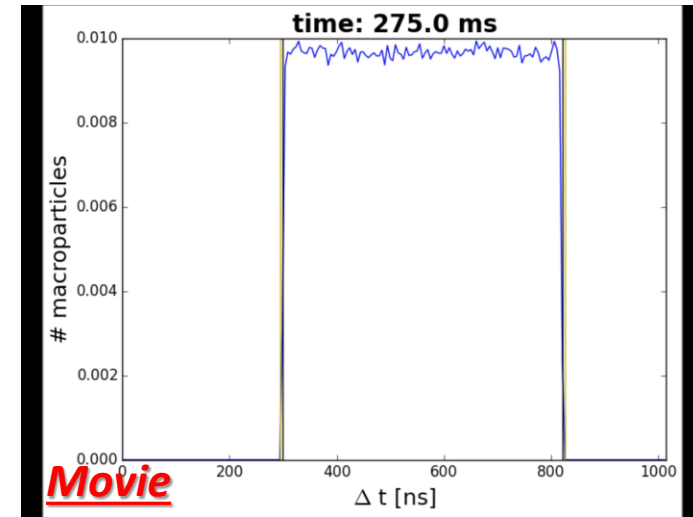
3) With blow-up, with intensity effects, no feedbacks



Phase space evolution

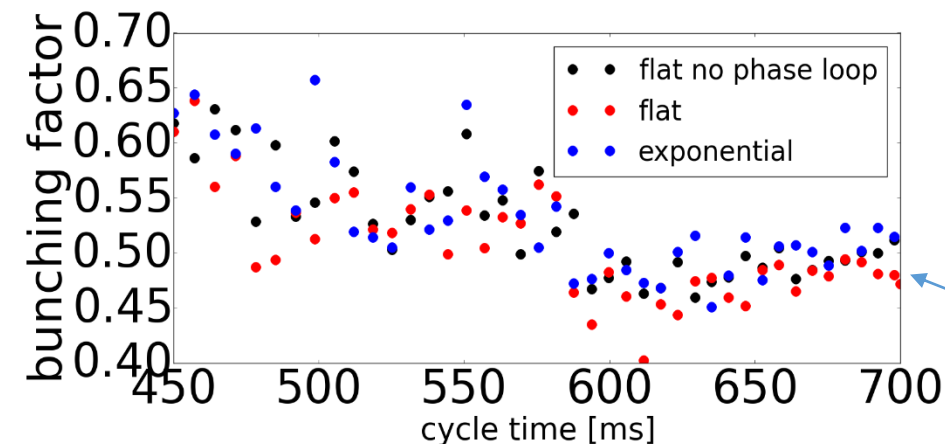
Separatrix
Hamiltonian

Bunch length
marked using
PSB
conventions



Profile evolution

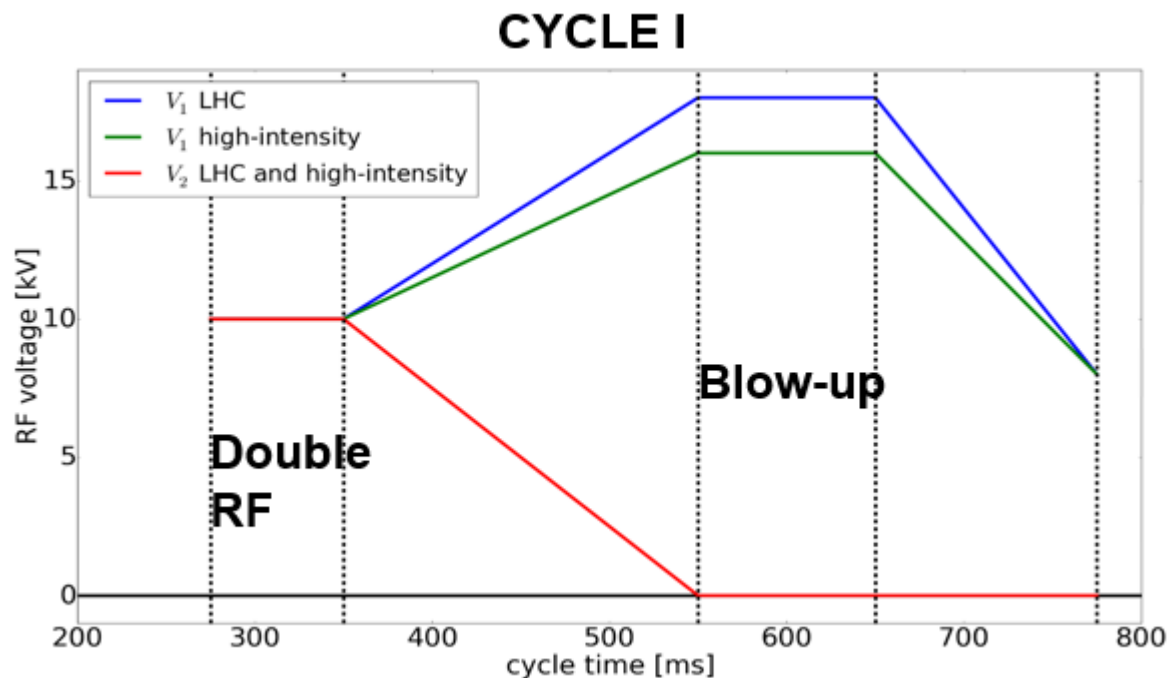
4) With blow-up, with intensity effects, with feedbacks



- Noise counteracted by phase loop which slows down the core diffusion.
 - spectrum changed from flat to exponential and $S(f_{s0})$ increased by factor 4.
 - Blow-up to 3 eVs still possible!
 - Exponential spectrum increases also bunching factor!

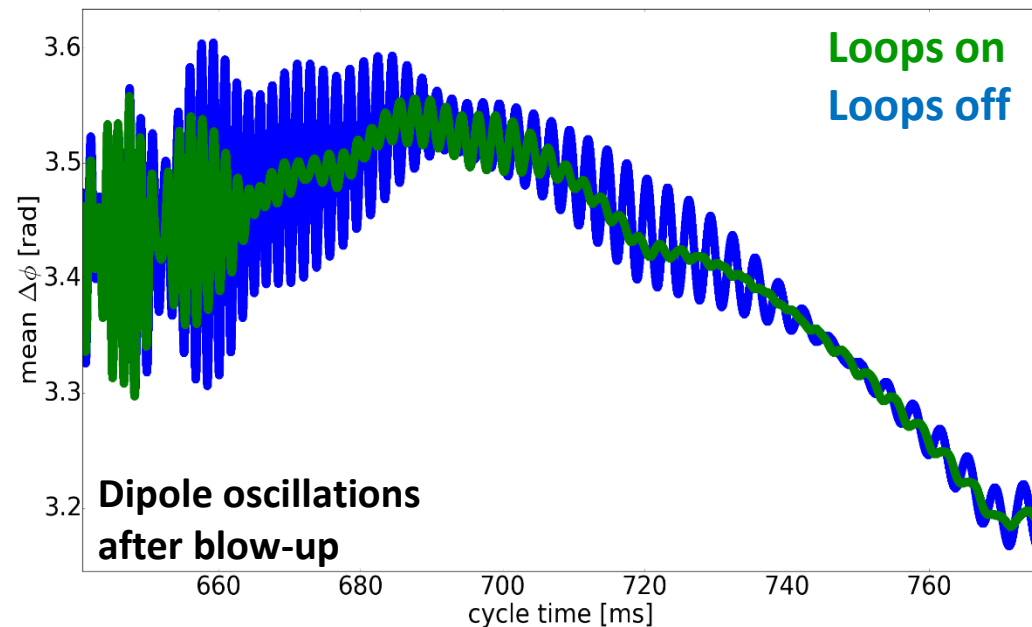
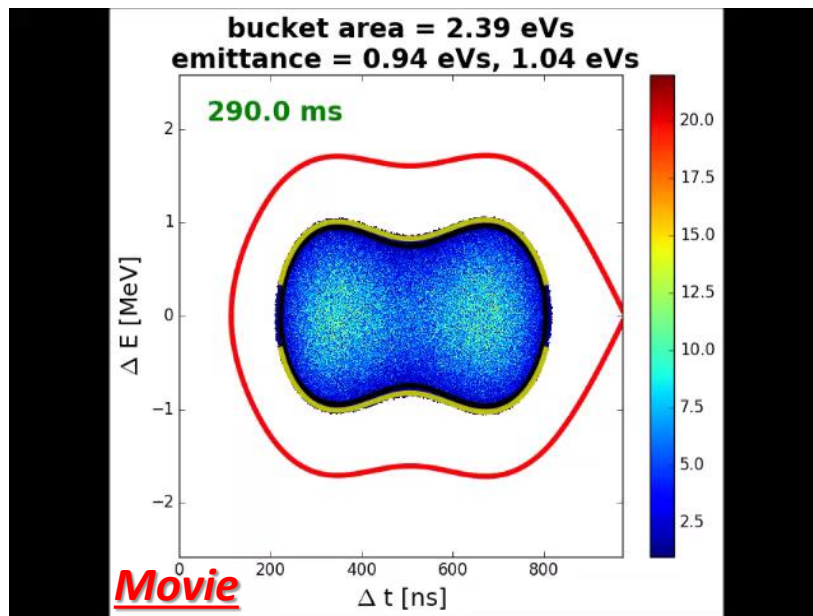
More realistic simulations: setting up

- LHC and high-intensity beams are studied. Maximum available RF voltage 20 kV.
- First part of the ramp in double RF (bunch lengthening) to reduce space charge.
- Controlled longitudinal emittance **blow-up** using phase noise in 550-650 ms.
- Noise injected in the phase loop of the main RF ($h=1$) at a limited sampling rate.
- V_1 is dropped after 650 ms to 8 kV to have the desired bunch length at extraction.
- Lower available voltage for high-intensity beams (higher beam loading to counteract).



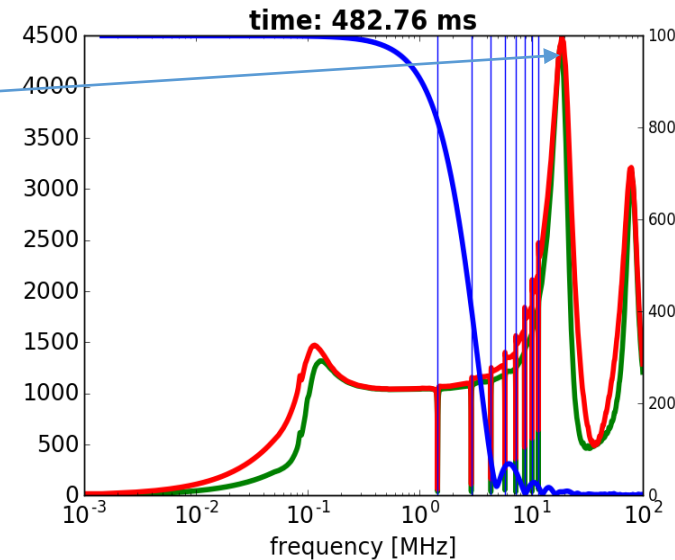
More realistic simulations: LHC beams

- For LHC beams ($N = 3.6 \times 10^{12}$) **no instability** observed using CYCLE I.
- **Blow-up from 1 eVs to 3 eVs in just 100 ms without losses.**
- The phase and radial loops are applied also after emittance blow-up.
- **Dipole oscillations significantly damped.**

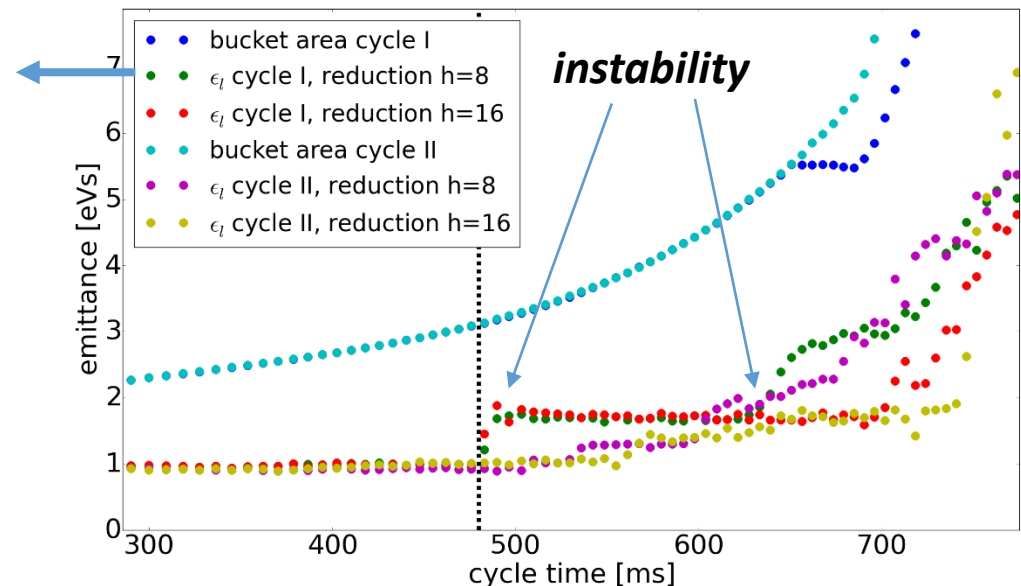
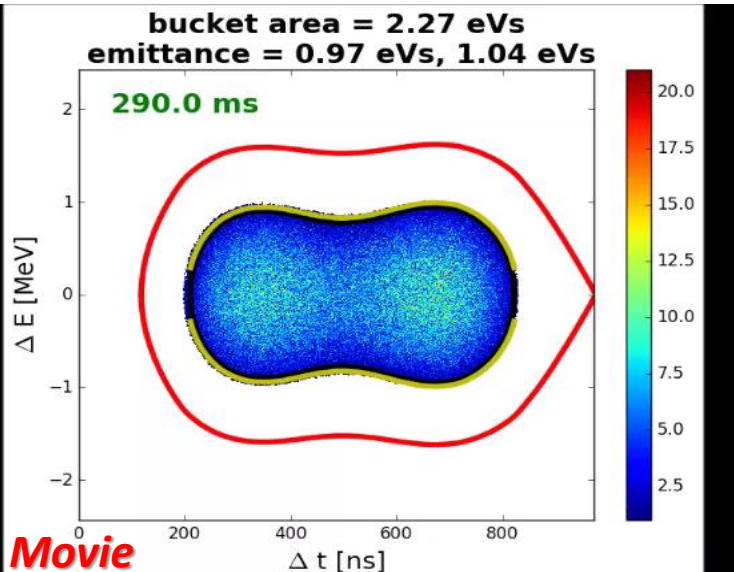


More realistic simulations: high-intensity

- **instability** (high frequency modulation and uncontrolled longitudinal emittance blow-up) **due to Finemet impedance peak at 20 MHz.**
- Increasing the number of revolution harmonics at which the Finemet impedance is reduced **delays the instability.**
- Instability delayed also in single RF during all cycle ($V_1 = 16$ kV, CYCLE II), however at extraction the emittance is larger than in CYCLE I.
- Absence of instability seen using CYCLE2 and widening notches bandwidth



20 MHz component also visible from the phase space!

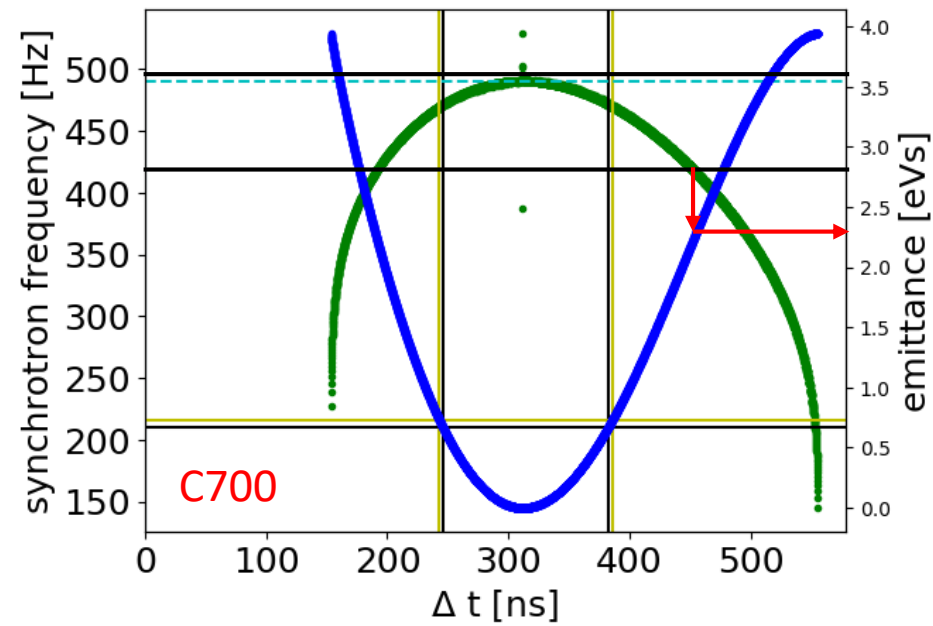
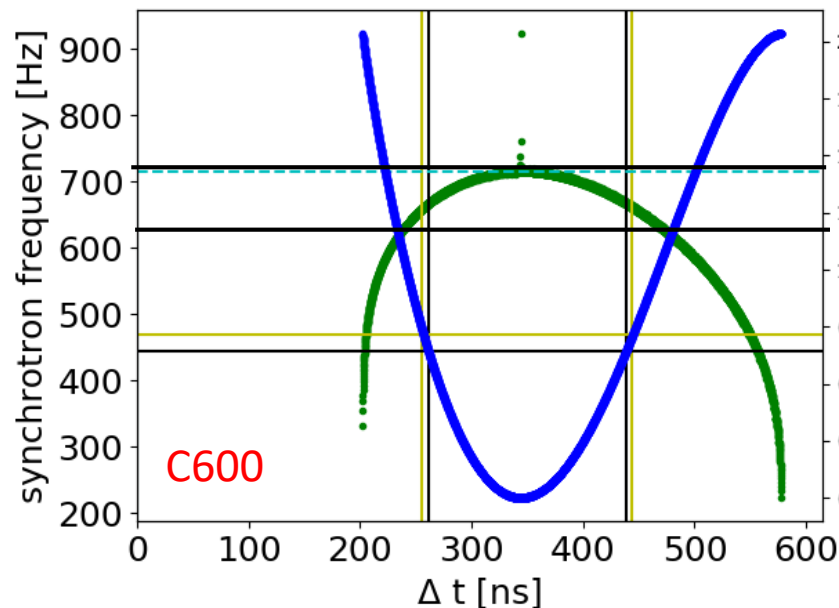


Phase noise in current machine (1/6)

- Phase noise injection tested in PSB for current situation:
 - Feasibility of the method applied to PSB
 - Reliability of simulations for future scenario

Single RF

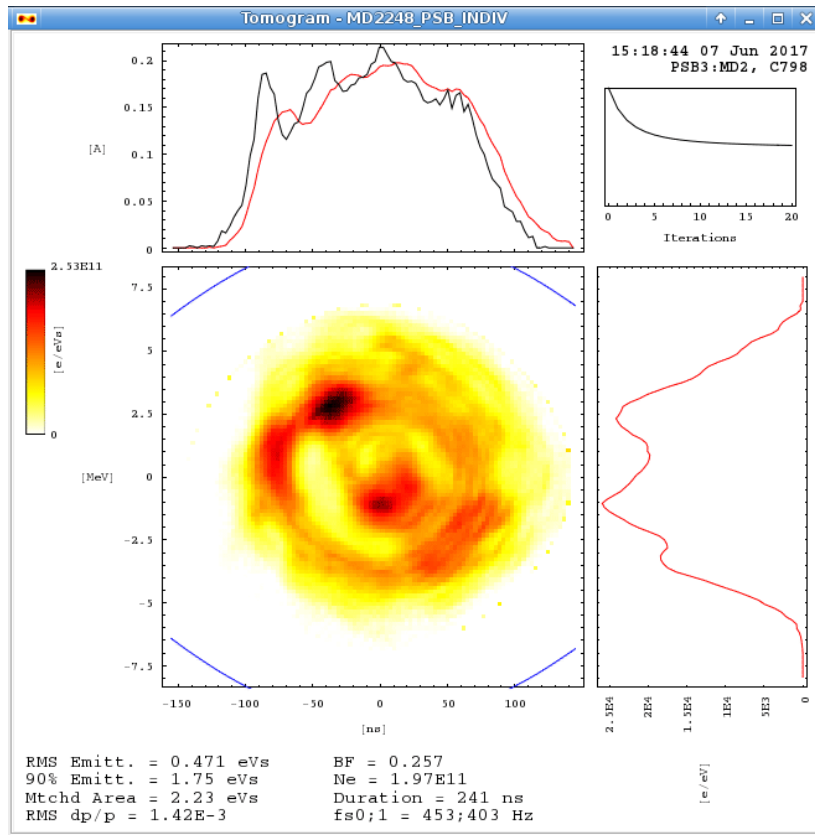
- LHC_indiv beam with 0.8 eVs emittance at C600, $N=3e11$
- We want to blow up the beam to 2.8 eVs at C775
- Noise applied in C600-C700
- Single RF 8 kV
- As an example we take a band = $[0.9 f_{s0}, 1.01 f_{s0}]$
- The goal is to target 2.3 eVs



Phase noise in current machine (2/6)

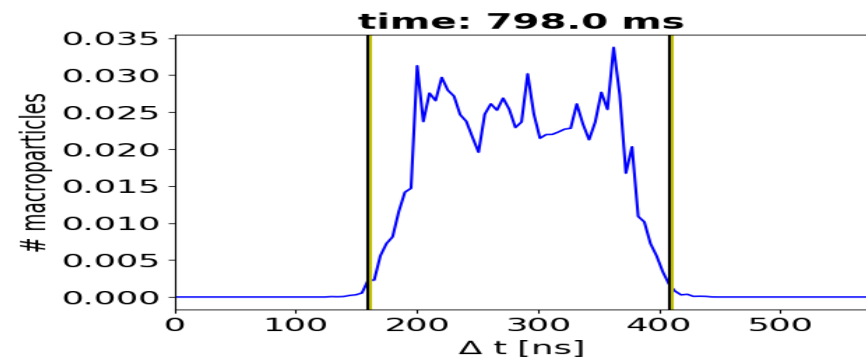
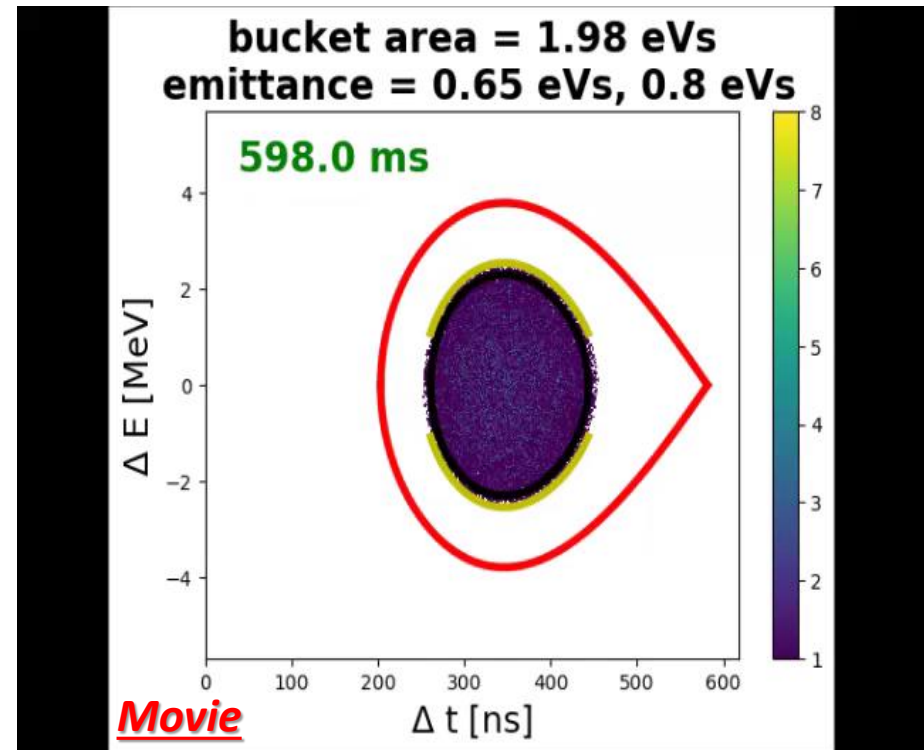
Single RF

MEASUREMENT



Not good bunch at C798:
Islands and no filamentation

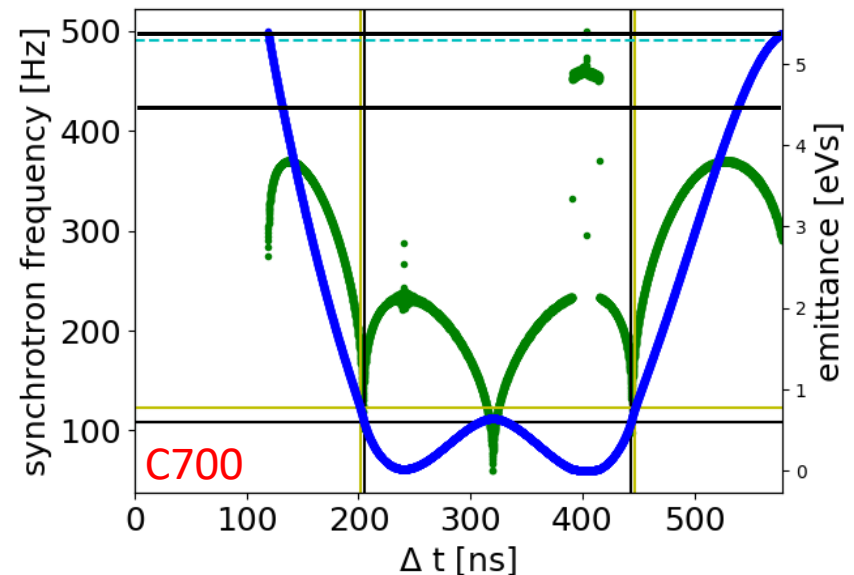
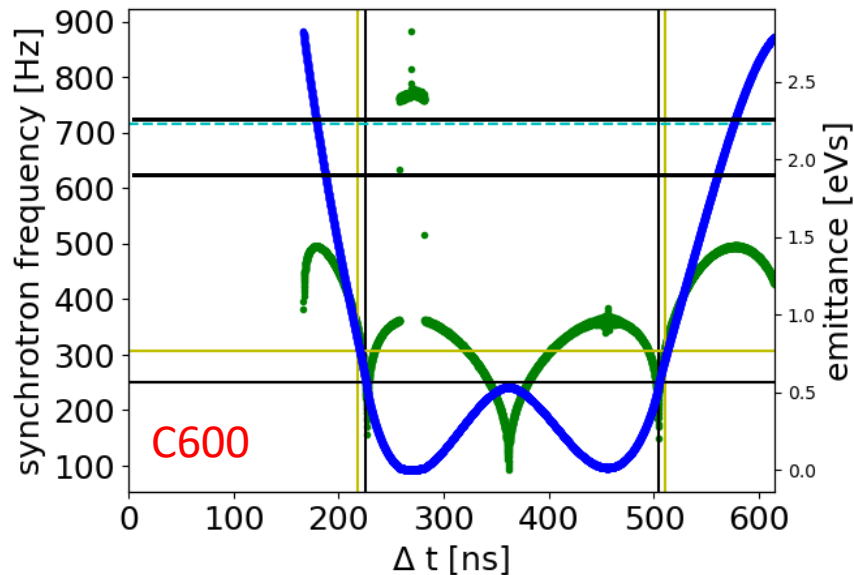
SIMULATION



Phase noise in current machine (3/6)

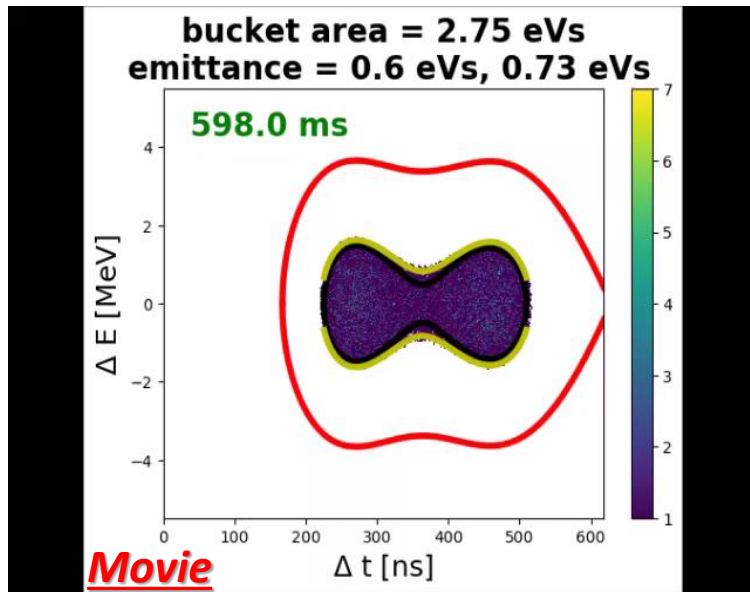
Double RF

- LHC_indiv beam with 0.8 eVs emittance at C600, $N=3e11$
- We want to blow up the beam to 2.8 eVs at C775
- Noise applied in C600-C700
- Double RF 8+6 in bunch lengthening in C600-C700, then linear decrease of V2 to 0 at C800
- The noise band follows fs_0 in single RF 8 kV (exactly as for previous example)
- fs_0 in single RF 8 kV $\approx 2 * fs_0$ lobes
- Quadrupole oscillations excited

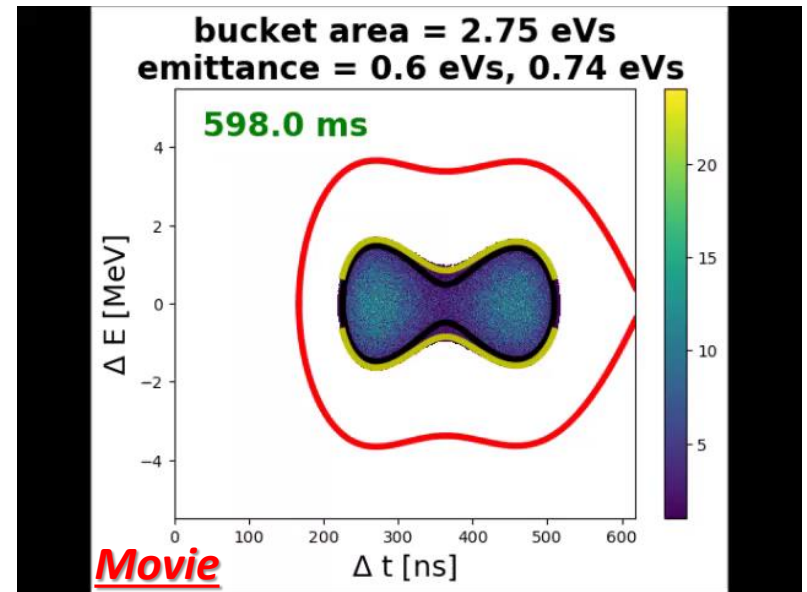


Phase noise in current machine (4/6)

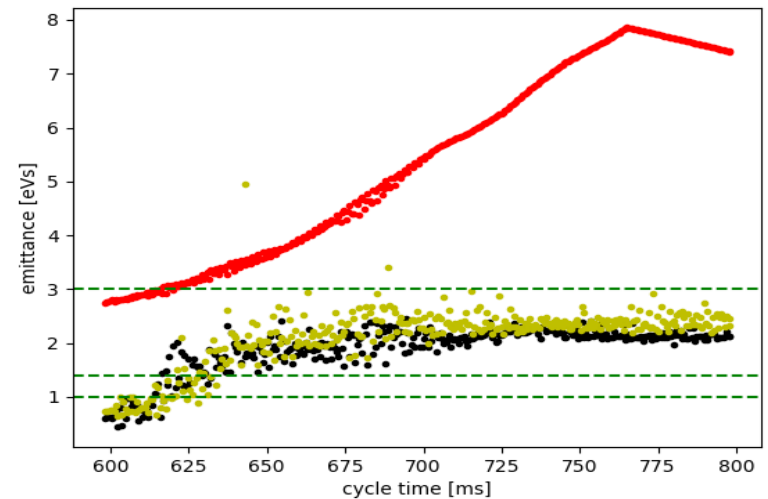
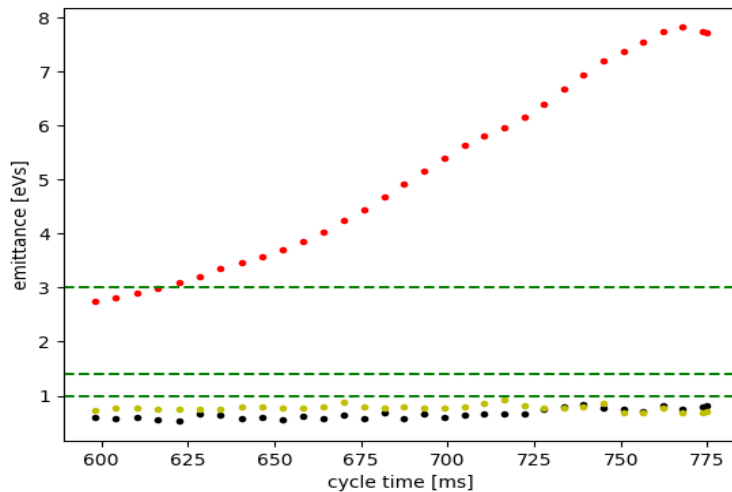
Double RF (simulations)



NO NOISE



WITH NOISE in C600-C700



Phase noise in current machine (5/6)

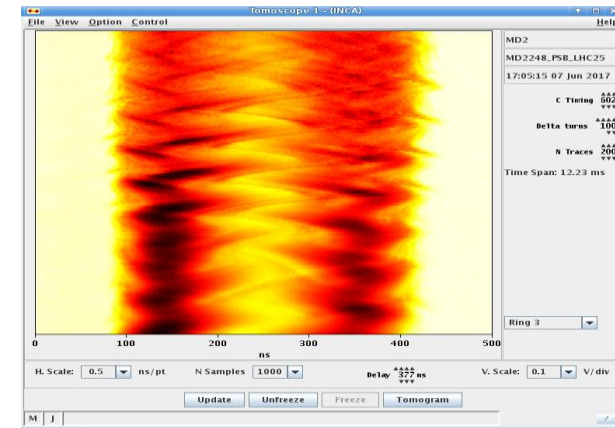
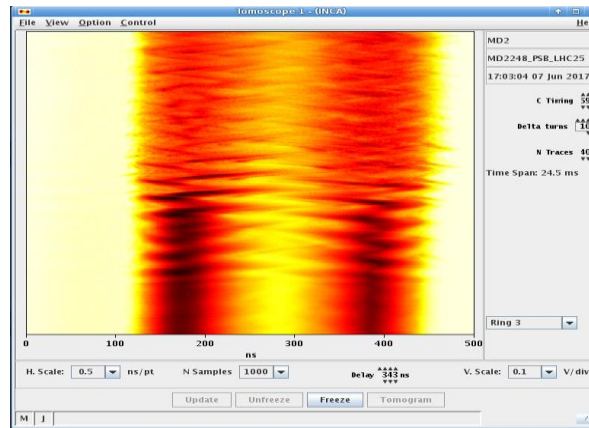
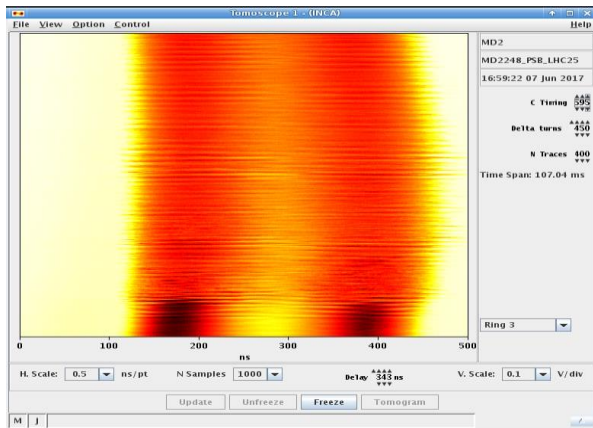
Double RF (measurements)

- Exactly same noise used in simulation, slightly different amplitudes for the 4 rings.

C595-C702

C597-C620

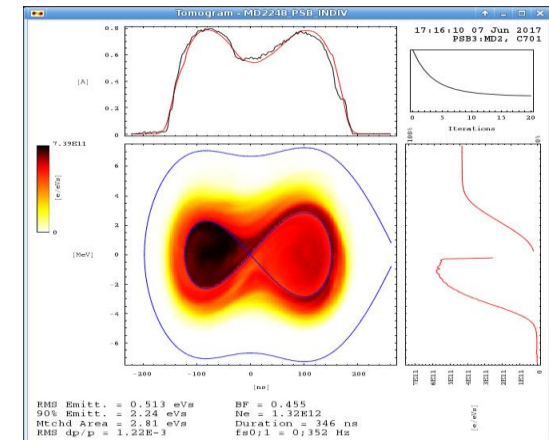
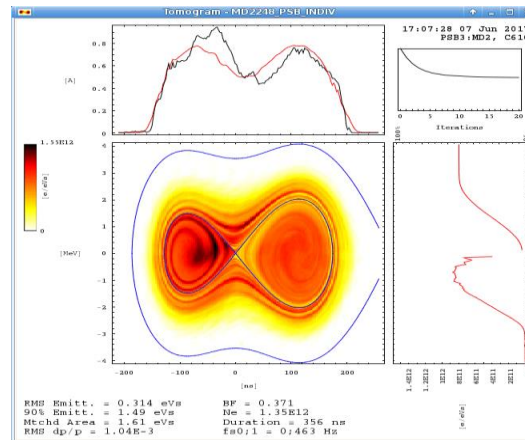
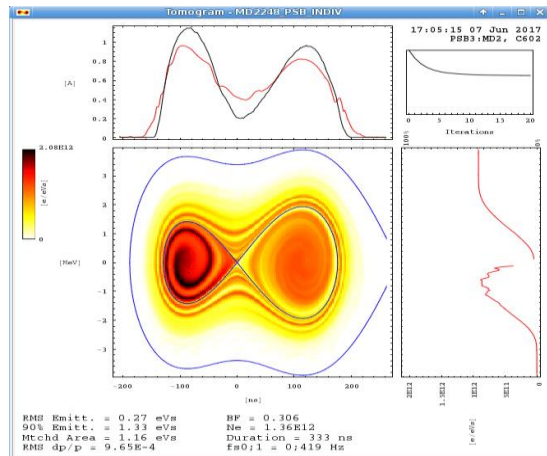
C602-C615



C602 $\varepsilon_L = 1.16$ eVs

C610 $\varepsilon_L = 1.61$ eVs

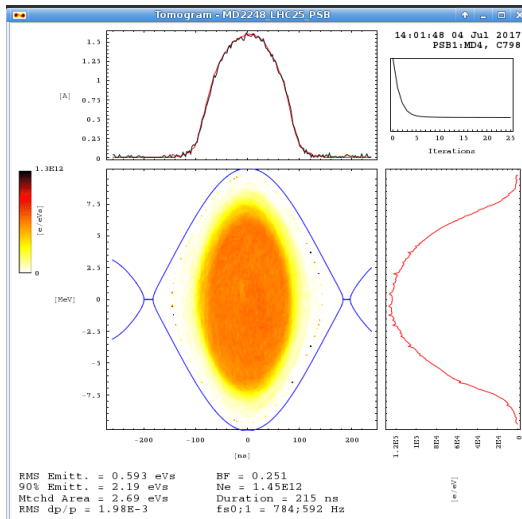
C701 $\varepsilon_L = 2.8$ eVs



Phase noise in current machine (6/6)

Double RF (measurements at extraction)

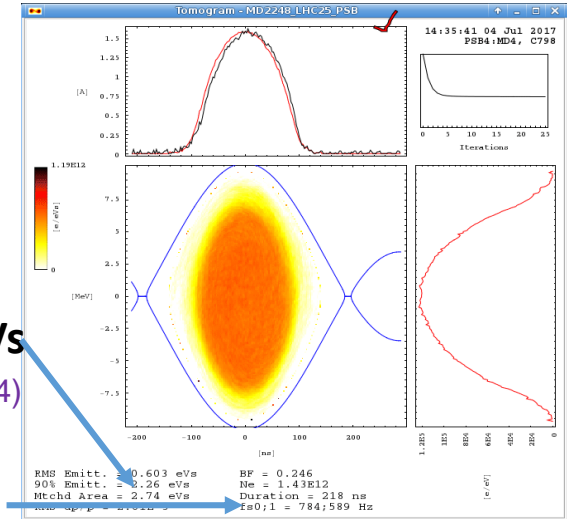
RING 1



$\epsilon_L = 2.69$ eVs
(2.80, 2.78, 2.73, 2.68)

b.l. = 215 ns

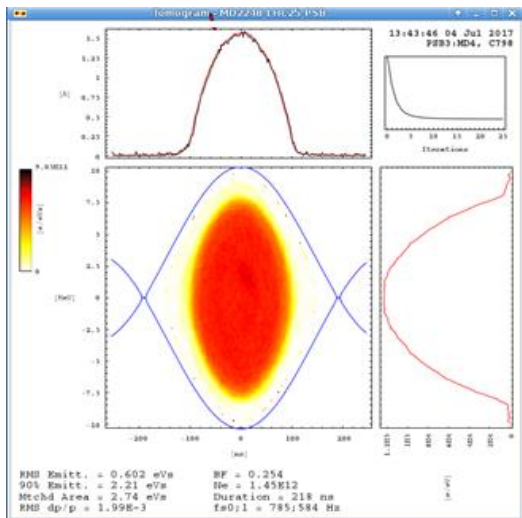
RING 2



$\epsilon_L = 2.74$ eVs
(2.73, 2.73, 2.71, 2.74)

b.l. = 218 ns

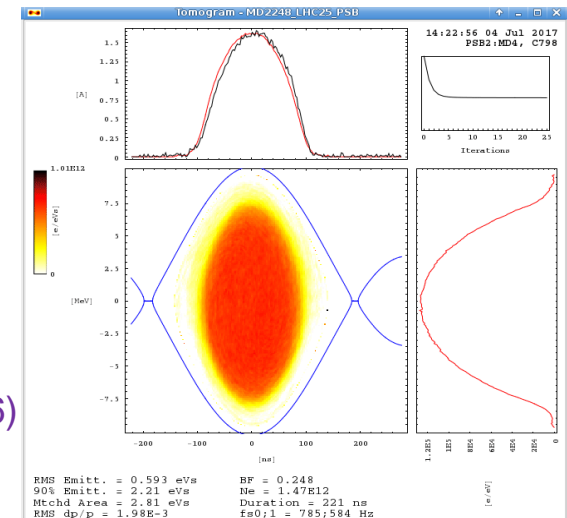
RING 3



$\epsilon_L = 2.74$ eVs
(2.69, 2.69, 2.72, 2.73)

b.l. = 218 ns

RING 4



$\epsilon_L = 2.81$ eVs
(2.80, 2.67, 2.76, 2.66)

b.l. = 221 ns

Contents

- *Introduction and motivations*
- *The CERN BLoND code*
 - *Main features and equations of motion*
 - *Examples of benchmarking with measurements, other code and analytical formulas*
 - *Code optimization*
- *PSB longitudinal dynamics studies for after LS2*
 - *Space charge and impedance model*
 - *Cycles and Landau damping*
 - *LLRF beam-based feedbacks with measurements*
 - *Phase noise injection for longitudinal emittance blow-up*
 - *Simulation results for LHC type beams*
 - *Simulation results for high intensity type beams*
 - *Noise blow-up in current machine with measurements*
- *Conclusion*
- *References*

Conclusion (1/2)

- *The BLoND code has been developed at CERN in the RF group more than three years ago and has been used in all CERN machines.*
 - *Particular care given by me firstly to general design and optimization, then to low energy rings features.*
- *Several benchmarks with measurements, analytical formulae and other codes give BLoND sufficient reliability.*
- *BLoND has been used to simulate longitudinal beam dynamics of the PSB beams in the post-upgrade scenario after 2021, where there will be many important changes.*
- *The complete PSB longitudinal impedance model has been used with careful estimations of the dominant sources:*
 - *space charge and Finemet impedance (with LLRF feedback)*
- *LLRF beam-based feedbacks have also been included (with measurements for gains calibration).*

Conclusion (2/2)

- *RF phase noise injection for longitudinal emittance blow-up has been studied and used in simulations*
 - *measurements of current situation reveal feasibility and robustness of the method.*
- *Simulations of HL-LHC don't show any instability.*
 - *It was possible to blow up the longitudinal emittance by factor 3 in just 100 ms, even combining noise with phase-loop*
- *Simulations of high-intensity beams reveal micro-wave instability caused by Finemet impedance.*
 - *Possible cure: increase action of feedbacks (number of harmonics, bandwidth of transfer function) and reduce RF-manipulations*
- **Next steps:**
 - *BLonD: contribution in general design and optimization*
 - *PSB: conclude studies (more simulations and measurements related to LLRF feedbacks, RF phase noise and collective effects)*
 - *SPS: slip-stacking just started, it will require most of the time*

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[13] D. Quartullo, S. Albright, E. Shaposhnikova, “Studies of Longitudinal Beam Stability in CERN PS Booster after Upgrade”, 8th International Particle Accelerator Conference, Denmark, 2017.

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