

# Particle Identification with EMCAL

## (via shower shape)

- Status
- Results for Low flux parametrisation
- Results High flux parametrisation

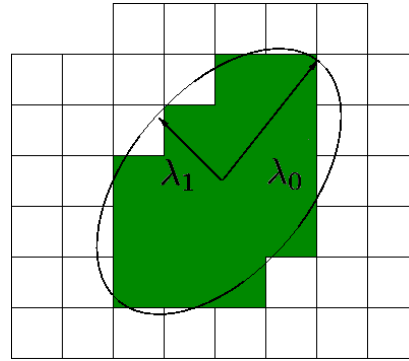
Marie Germain, SUBATECH, Nantes, France

# EMCAL PID & new parametrisations

## EMCAL PID: based on shower shape analysis + bayesian

Shape of clusters  $\lambda_0^2$  (main axis of the cluster ellipsoide) +

Bayesian analysis to determine probability for a cluster to be originating from ( $\gamma$ ,  $\pi^0$ , hadron)



- In AliRoot now:** based on clusters  $\lambda_0^2$  distributions determined for
- old pp clusterisation parameters and thresholds.
  - Nothing for the Pb Pb parameters and thresholds case.

## Old pp clusterisation thresholds :

Tower minimum energy cut: fMinECut = 0,01 (10 MeV)

Minimum cluster energy cut : fClusteringThreshold = 0,1(100MeV)

Actuals thresholds	pp LowFlux	Pb Pb HighFlux
fMinECut =	0,01 (10 MeV) ,	0,45 (450 MeV)
fClusteringThreshold: =	0,2 (200MeV),	0,5 (500 MeV)

# PID determination

## Principle from AliESDCaloClusters

- 1- Parametrisation of shower shape ( $\lambda_0^2$ ) distribution for each kind of particle  $\gamma$ ,  $\pi^0$ , hadron at different energies.
- 2- Determination for each cluster (given its  $\lambda_0^2$ , and energy) of the probability to be from each kind via Bayesian method:

$$W(i) = \frac{P(\lambda_0^2, i)}{\sum_j P(\lambda_0^2, j)} \quad i = \gamma, \pi^0, \text{ hadron}$$

## Implementation in AliEMCALPID Class called during reconstruction:

The  $W(i)$  are then filled during reconstruction and stored in AliESDCaloClusters Via AliESDCaloCluster::SetPID() Method.

But: 3 particle species differentiation by shower shape; AliEMCALPID  
11 particle species in standart AliPID  
To assure the sum of probabilities equal to 1 the  $W(i)$  are distributed from 3 species to 11 species:

kElectron: fPIDFinal[0] = $W(\gamma)/2$	kPhoton : fPIDFinal[5] = $W(\gamma)/2$
kPi0: fPIDFinal[6] = $W(\pi^0)$	
kMuon: fPIDFinal[1] = $W(\text{hadron})/8$	kNeutron: fPIDFinal[7] = $W(\text{hadron})/8$
kPion: fPIDFinal[2] = $W(\text{hadron})/8$	kKaon0: PIDFinal[8] = $W(\text{hadron})/8$
kKaon: fPIDFinal[3] = $W(\text{hadron})/8$	kEleCon: fPIDFinal[9] = $W(\text{hadron})/8$
kProton: fPIDFinal[4] = $W(\text{hadron})/8$	kUnknown: fPIFFinal[10] = $w(\text{hadron})/8$

# 1st STEP: Parametrisation of $\lambda_0^2$

## Simulations with (AliRoot-V4.16.Rev06)

- 10000 events with 1  $\gamma$  /event
- 10000 events with 1  $\pi$  /event
- 10000 events with 1  $K_L^0$  /event

- $80^\circ < \phi < 190^\circ$        $-0.7 < \eta < 0.7$
- Pt (GeV)= 10, 12, 14 16 18, 22, 24, 26, 28,30 32 34 36 38 40 42 44 46 48 50
- Pt (GeV)= 60, 80 100 (in addition for  $K_L^0$  see later to get parametrisation also for high reconstructed energy (up to 50 GeV as other particles)

- Only EMCAL material.
- pp LowFlux clusterisation parameters /PbPb HighFlux

- ✓ **Selection of clusters: with nb of cells >2**
- ✓ **Selection of events with 1 and 1 only cluster reconstructed**

## FIT of $\lambda_0^2$ distributions

Root Fit of : Gaussian + landau Distribution (or inverted landau for  $\gamma$ .)

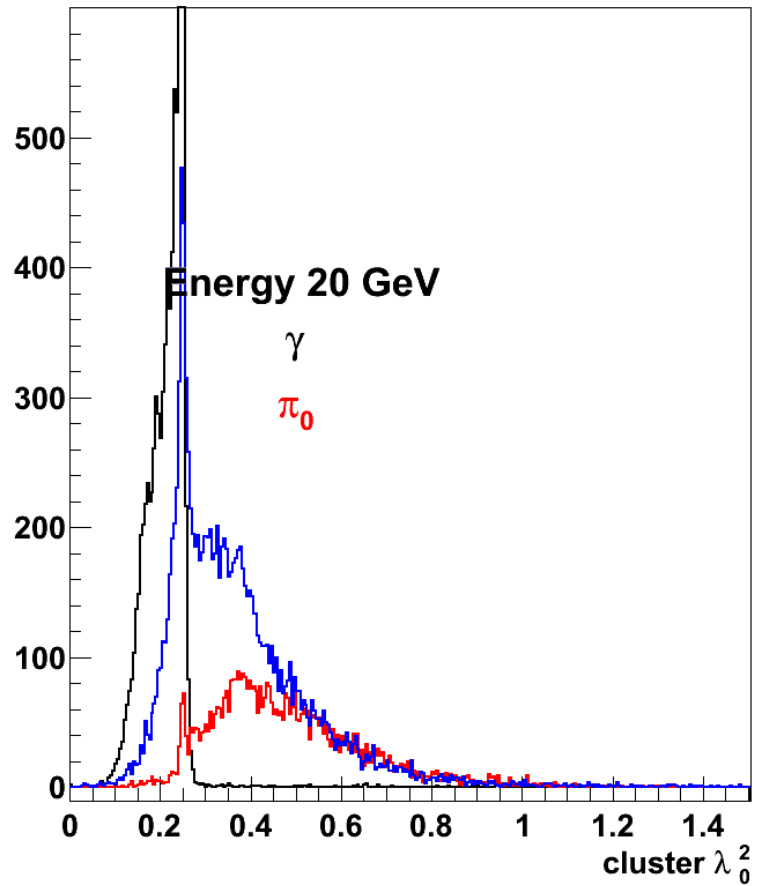
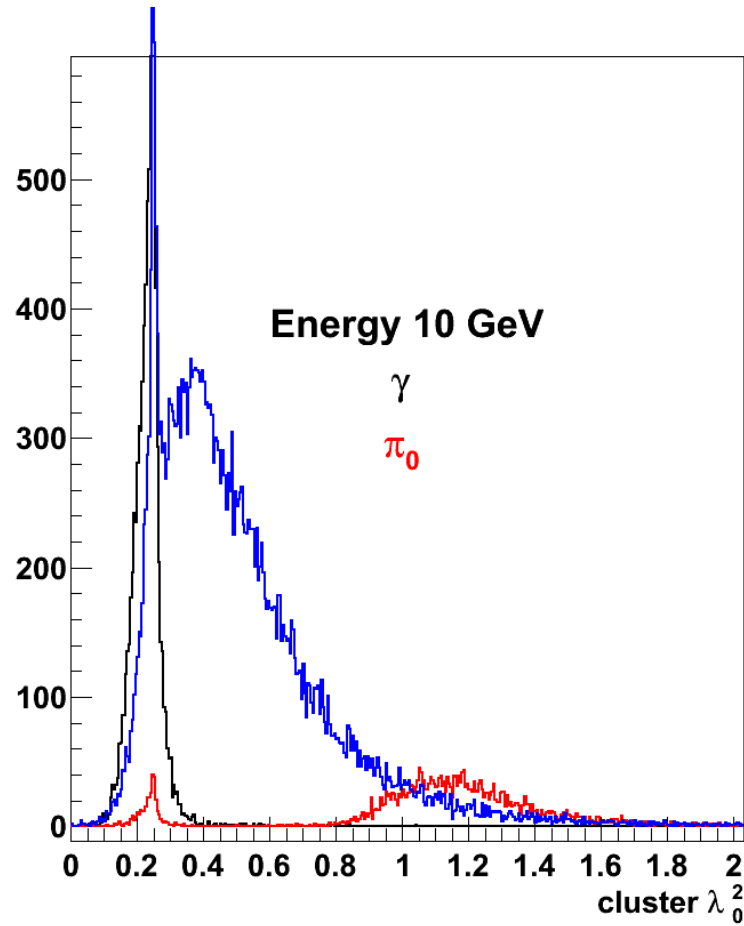
Gaussian:  $\text{Norm}_G * \text{TMath}::\text{Gaus}(\lambda_0^2, m_G, \sigma_G)$  : 3 parameters

Landau :  $\text{Norm}_L * \text{TMath}::\text{Landau}(\lambda_0^2, m_L, \sigma_L)$  : 3 parameters

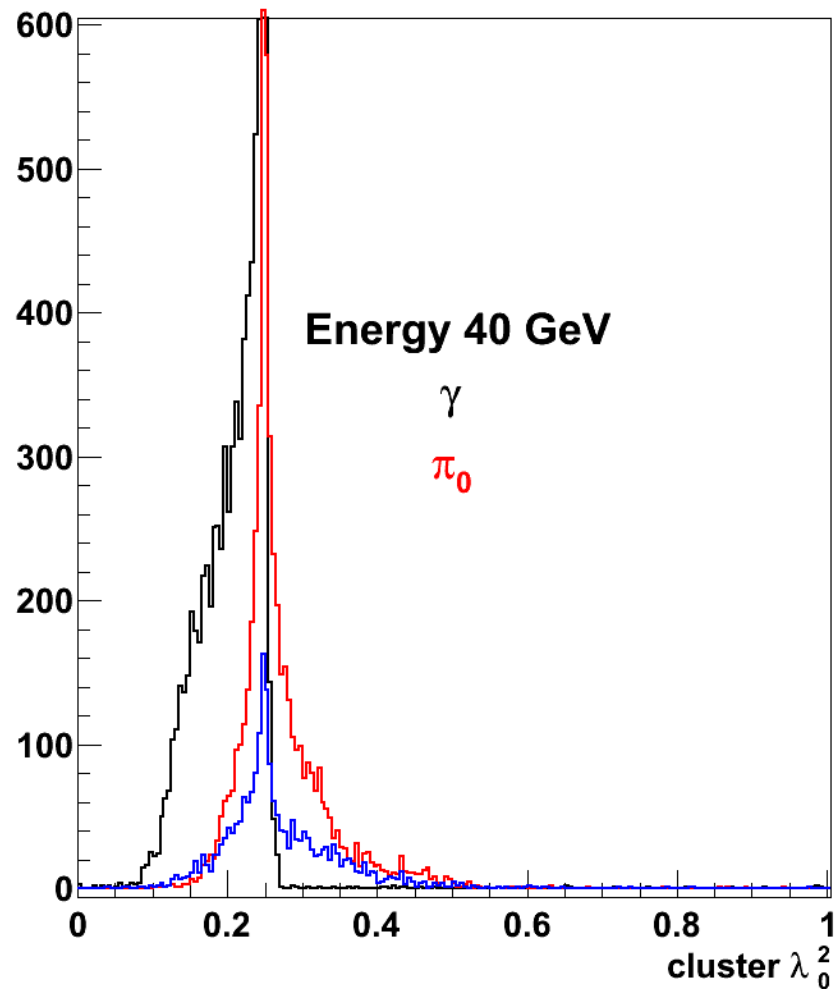
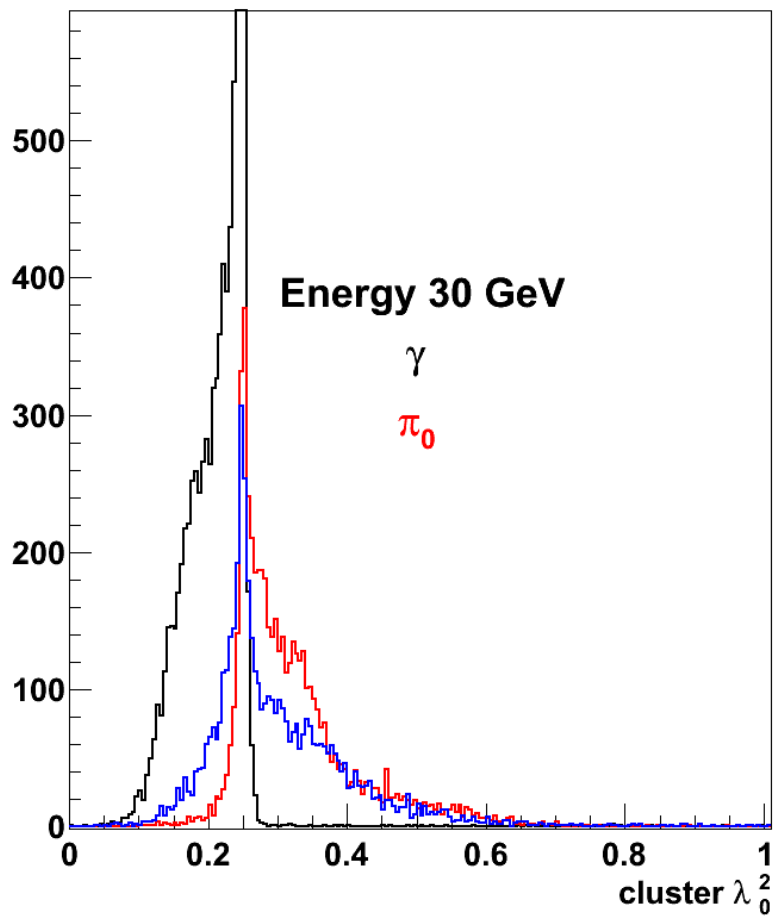
**Evolution of each parameter with Energy is fitted by:**

$$\text{Param}(E(\text{GeV})) = p_0 E^{-2} + p_1 E^{-1} + p_2 + p_3 E + p_4 E^2$$

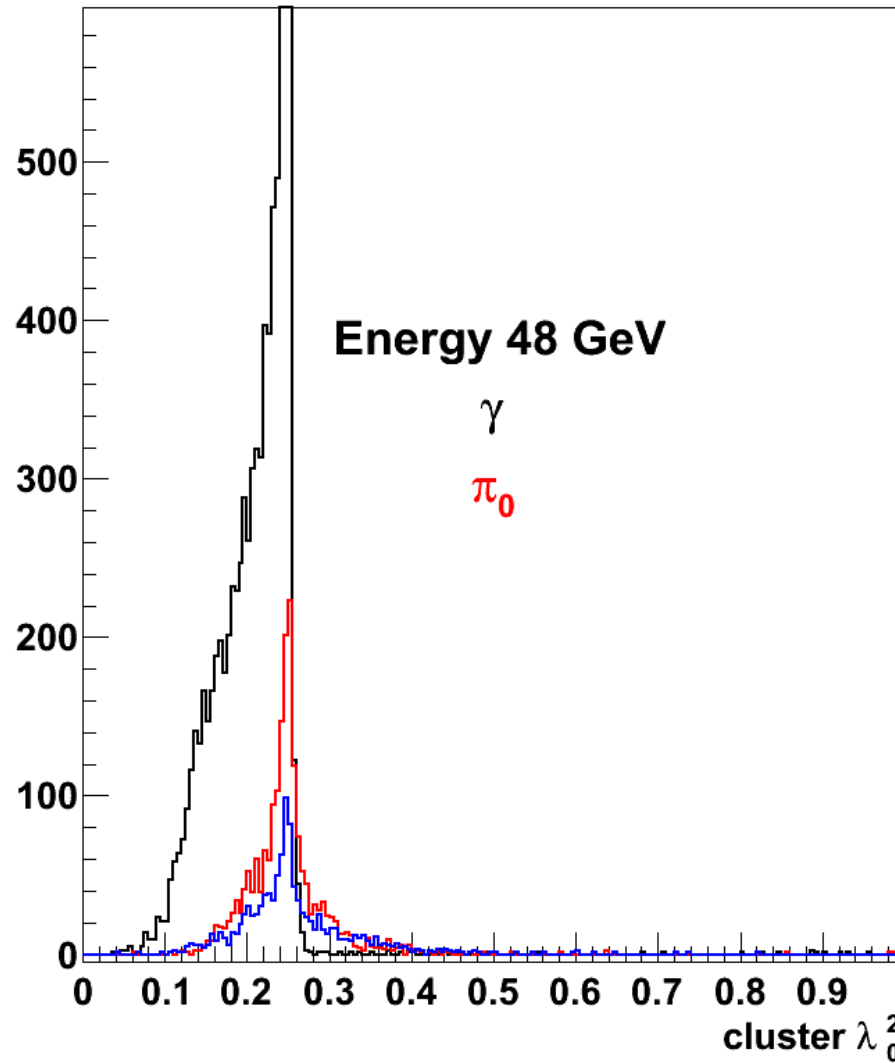
# $\lambda_0^2$ distributions (pp )



# $\lambda_0^2$ distributions (pp)



# $\lambda_0^2$ distributions (pp)



# PID Quality/ efficiencies

**Simulations: 1 particle from each kind  $\gamma, \pi^0, \pi^+, \pi^-$  at fixed energy /event**

Cluster mean multiplicity in EMCAL from Pythia  $\sim 4$

- « merged with »: **pp**: Pythia kPyJet Jet-jet events with JetEtRange[30-100GeV]
- « merged with »: **PbPb**: for Pb Pb Hijing à 5.5 TeV (0-5fm)  
Cluster mean multiplicity in EMCAL from Hijing  $\sim 20$   
poor statistic/binning for the moment

**Only EMCAL in**

**Reconstruction & PID with new LowFlux parametrization for pp case and HighFlux for Pb Pb**



# Hadron Energy Ponderation

Pb of hadron « correction »: Energy deposited in EMCAL mainly MIPS.  
For showershape/ we require at least 2 cells multiplicity or clusters  
(MIP peak is avoided and we have just the tail of the energy distribution)

**$\pi$ /K0 simulation in EMCAL**

**40000 single particles Flat E distribution between 0.5-100 GeV**

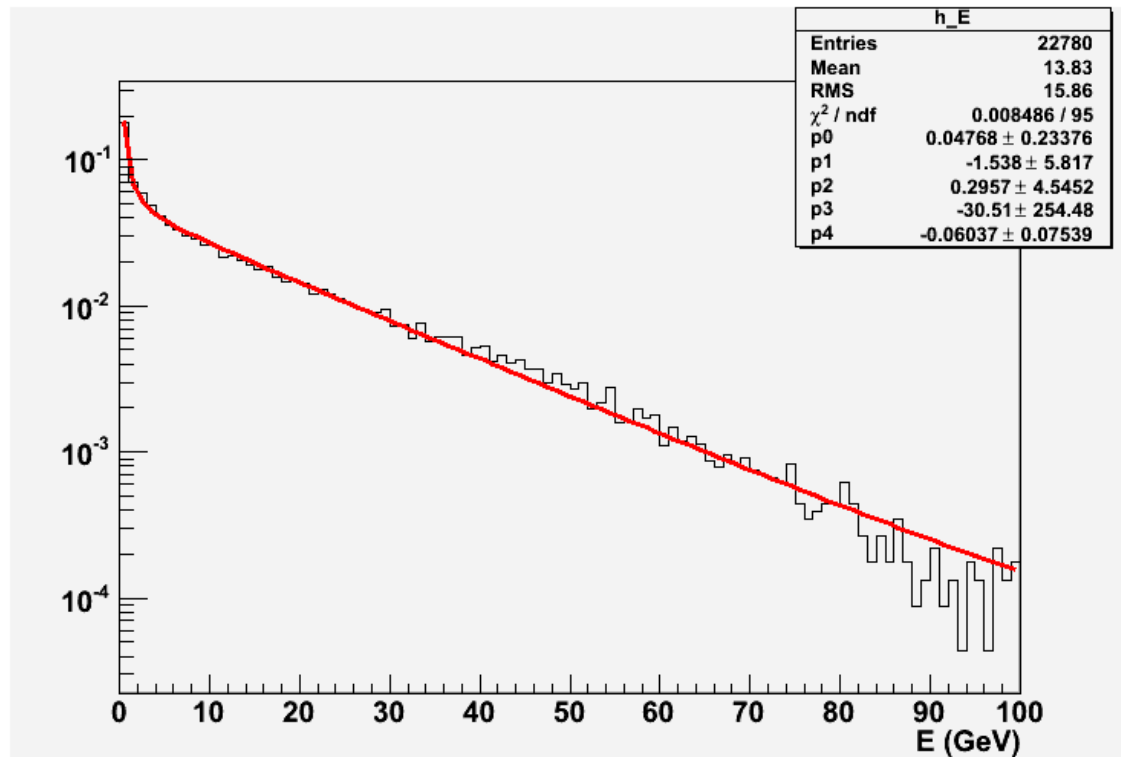
**Reconstructed Energy distribution**

Ponderation of the probability for a given cluster with E and  $\lambda_0^2$   
to be a hadron by the probability to have deposited E

Fit by the fct:

Powerlaw+expo

$$p_0 \cdot E^{p_1} + p_2 \cdot \exp(E - p_3)^{p_4}$$

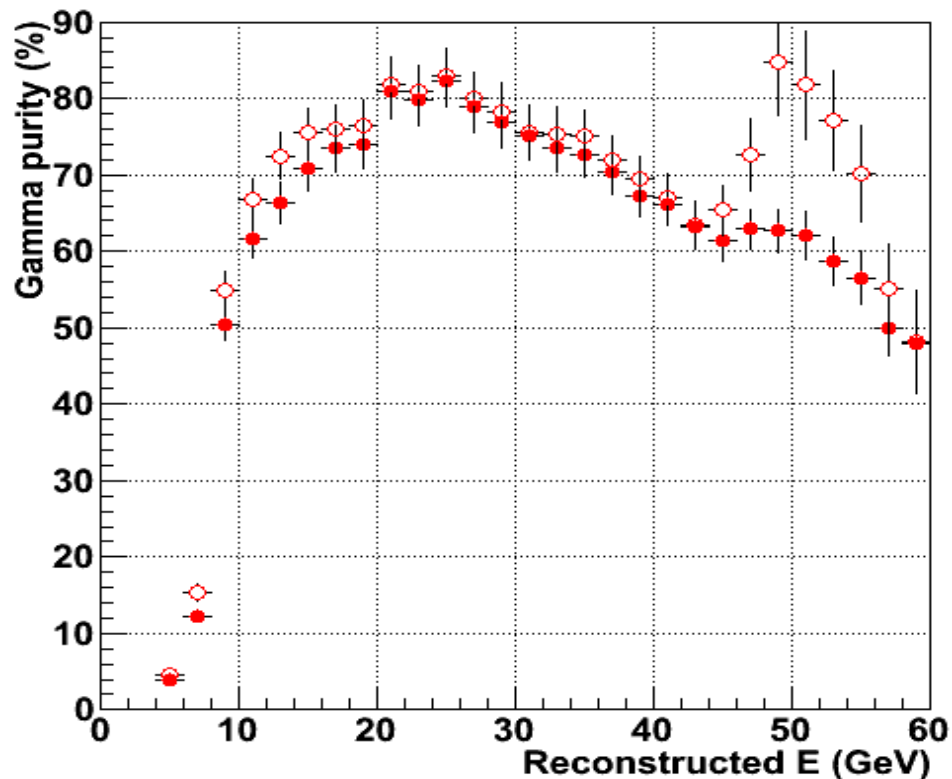
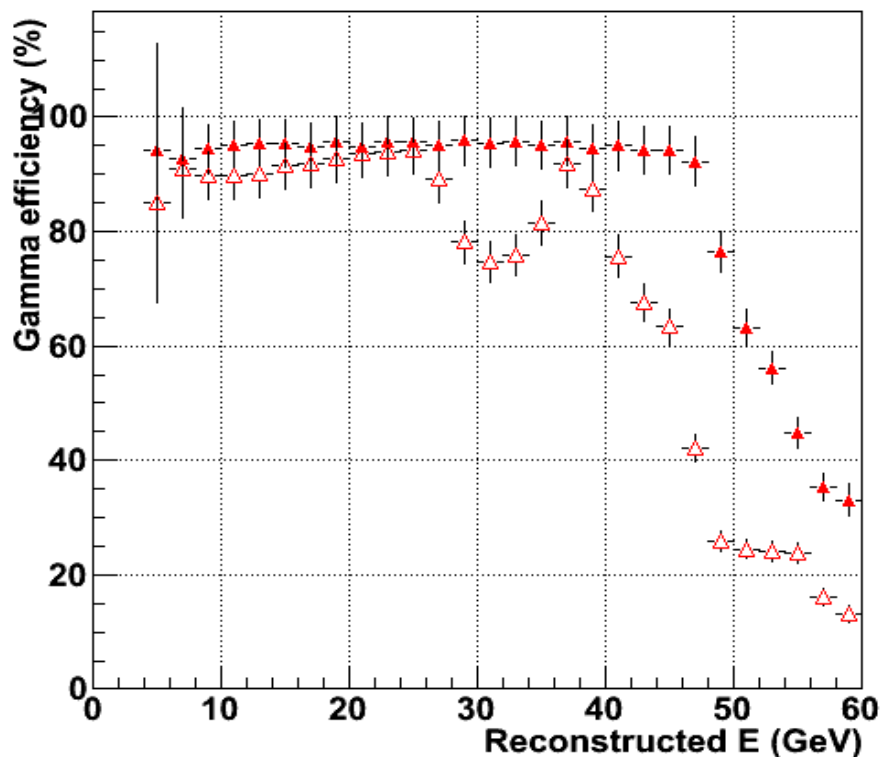


# $\gamma$ merged in Pythia pp

PID criteria: probability >0.5

$$\text{Eff} = \frac{\text{\# of } \gamma \text{ identified as } \gamma}{\text{\# of real } \gamma}$$

$$\text{pur} = \frac{\text{\# of } \gamma \text{ identified as } \gamma}{\text{\# of part identified as } \gamma}$$

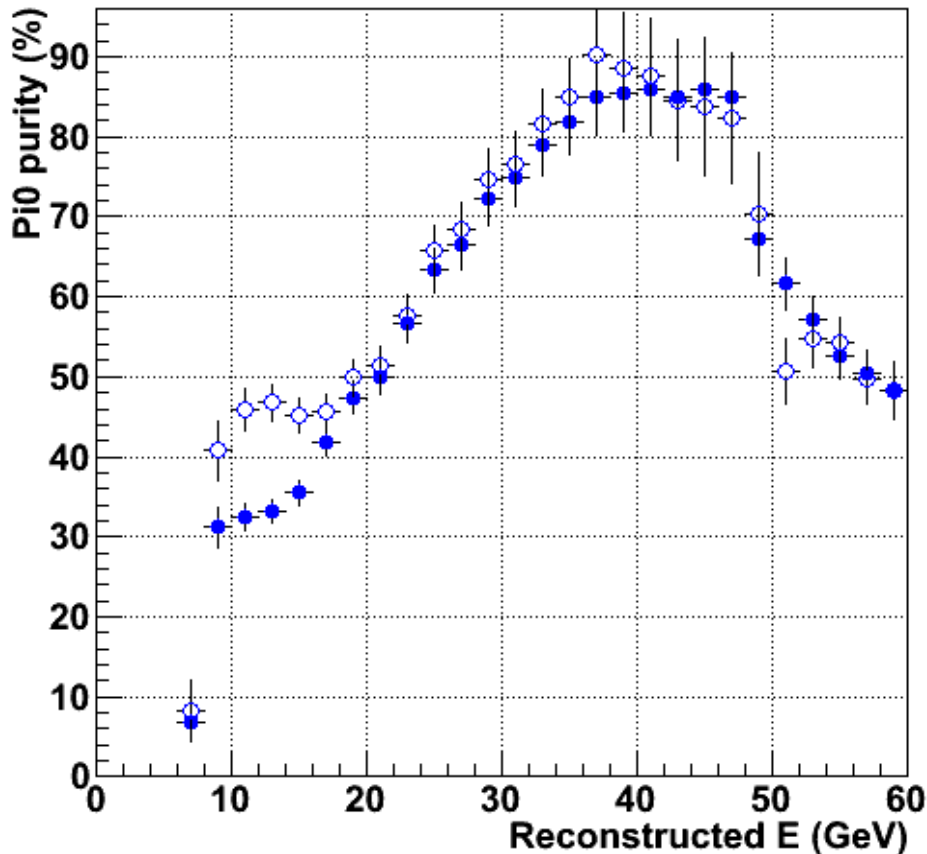
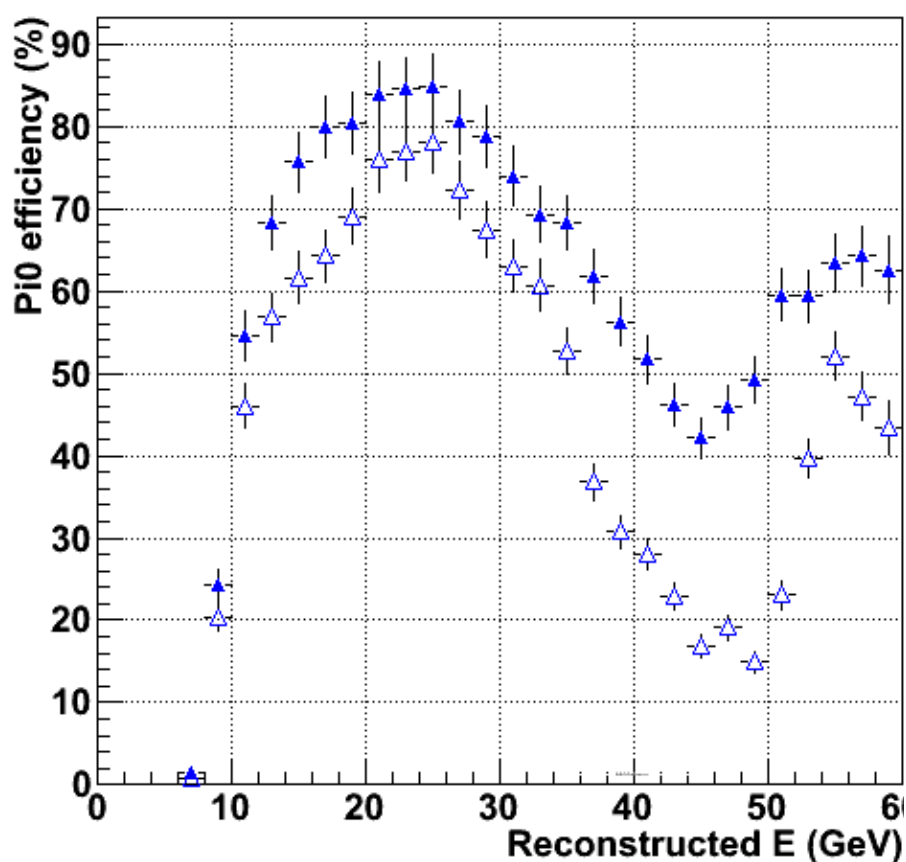


Open symbol : hadron probability No weighted (E)  
Plain symbol: hadron probability Weighted (E)

# $\pi^0$ merged in Pythia pp

$$\text{Eff} = \frac{\# \text{ of } \pi^0 \text{ identified as } \pi^0}{\# \text{ of real } \pi^0}$$

$$\text{pur} = \frac{\# \text{ of } \pi^0 \text{ identified as } \pi^0}{\# \text{ of part identified as } \pi^0}$$

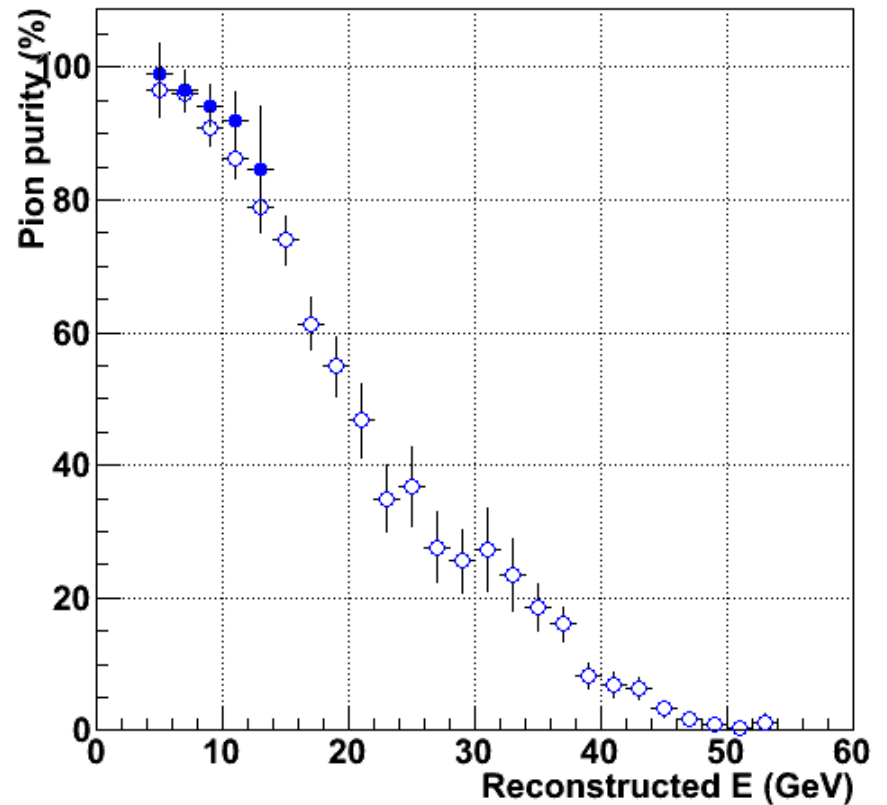
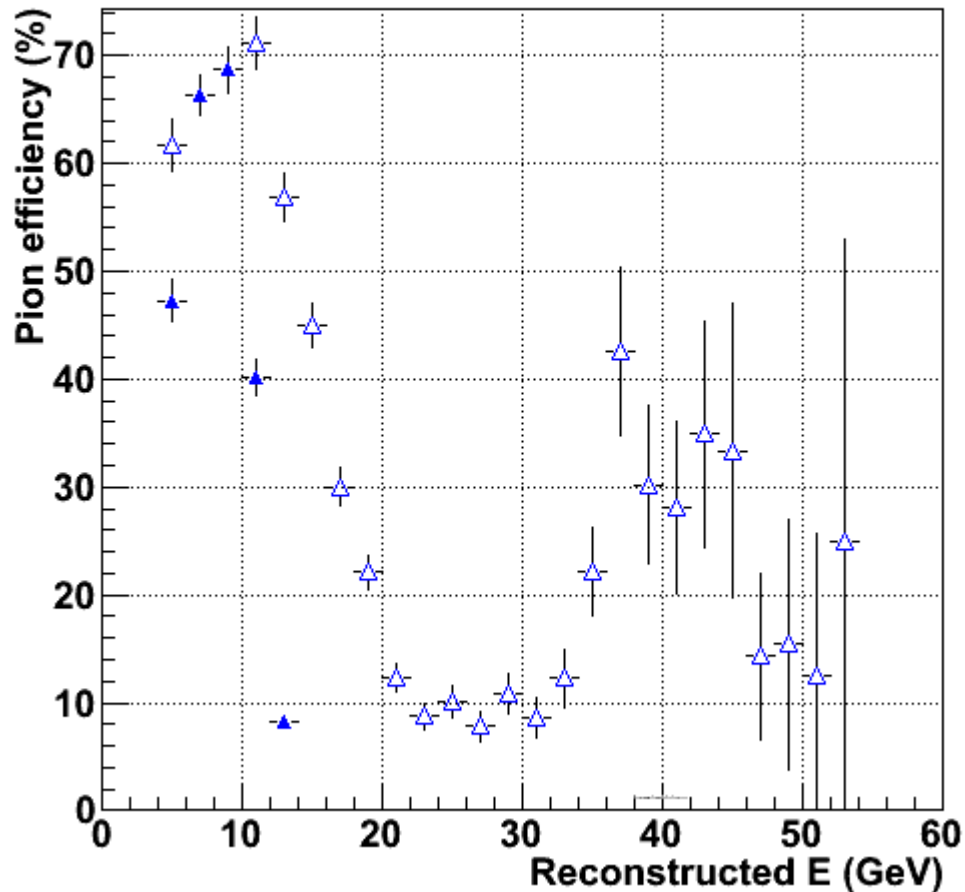


Open symbol : hadron probability No weighted (E)  
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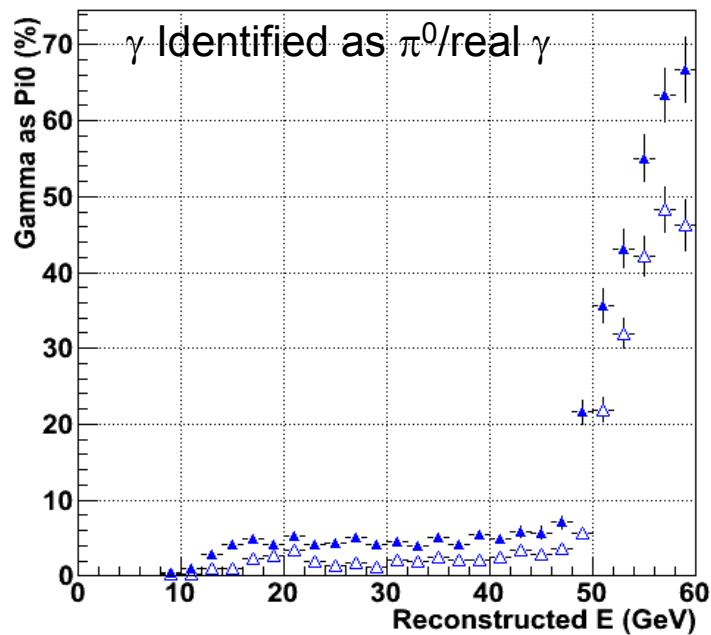
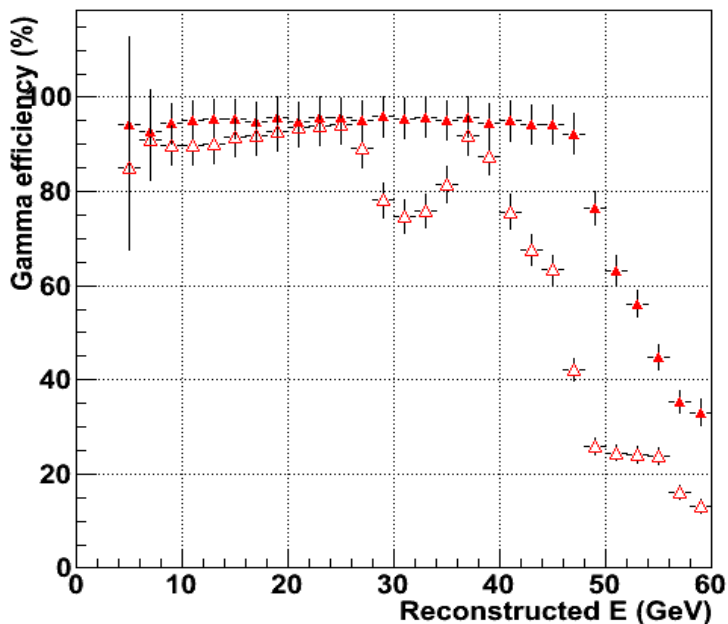
# charged $\pi$ merged in Pythia pp

$$\text{Eff} = \frac{\# \text{ of } \pi \text{ identified as hadron}}{\# \text{ of real } \pi}$$

$$\text{pur} = \frac{\# \text{ of } \pi \text{ identified as hadron}}{\# \text{ of part id hadron}}$$



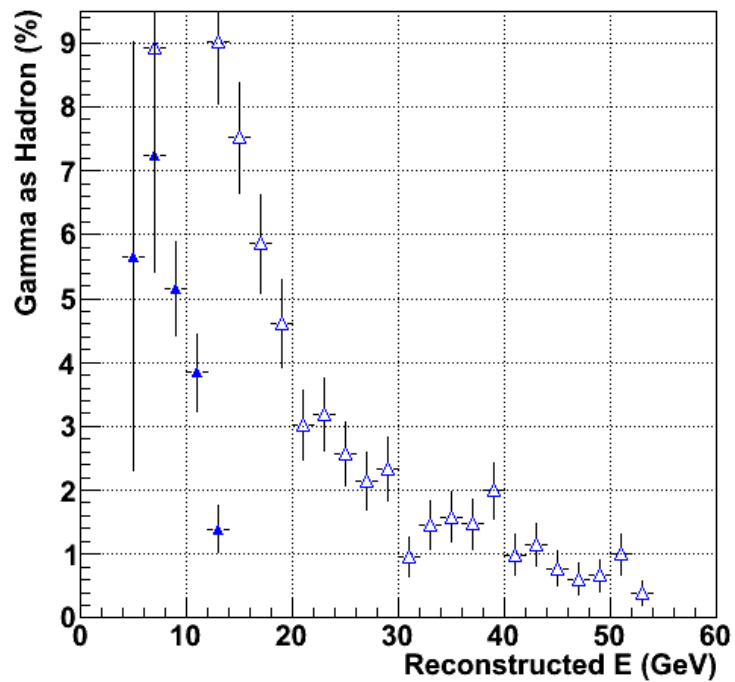
$\gamma$  Identified as  $\gamma$ /real  $\gamma$



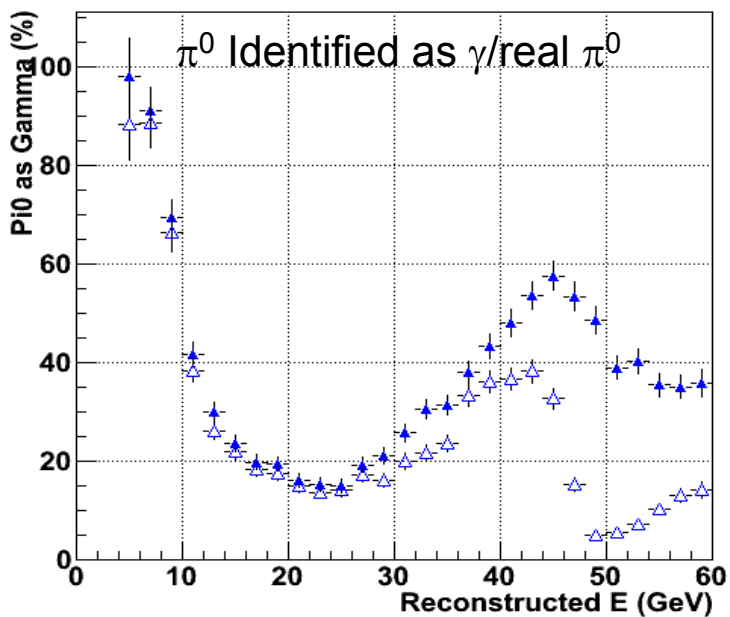
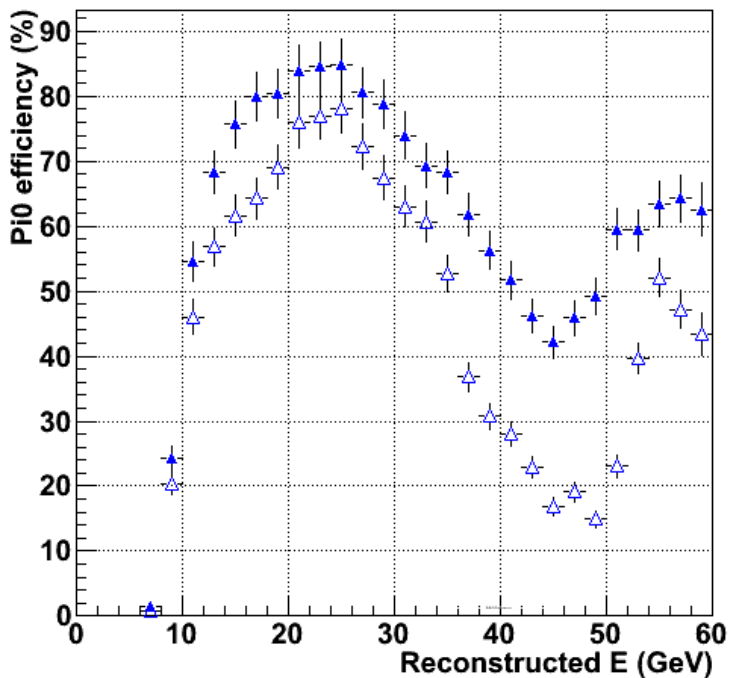
p p LowFlux parametrisation

$\gamma$  efficiency: different

$\gamma$  Identified as hadron/real  $\gamma$



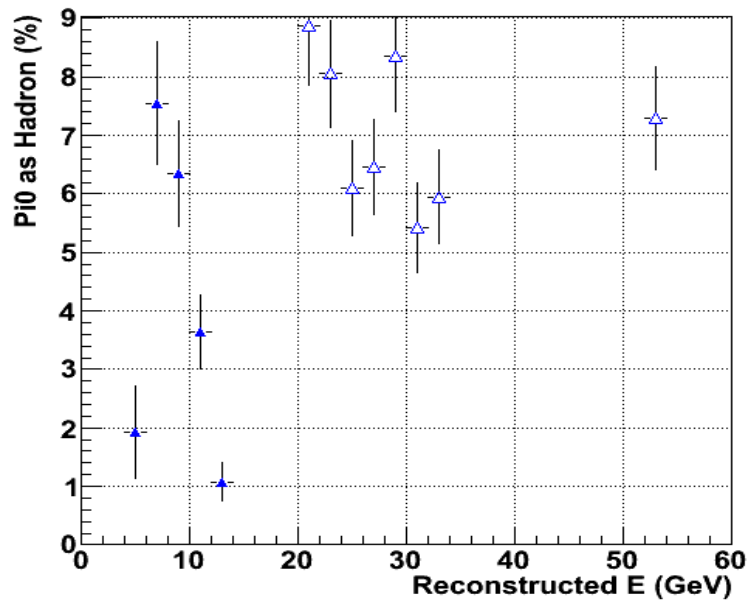
$\pi^0$  Identified as  $\pi^0$ /real  $\pi^0$



p p LowFlux parametrisation

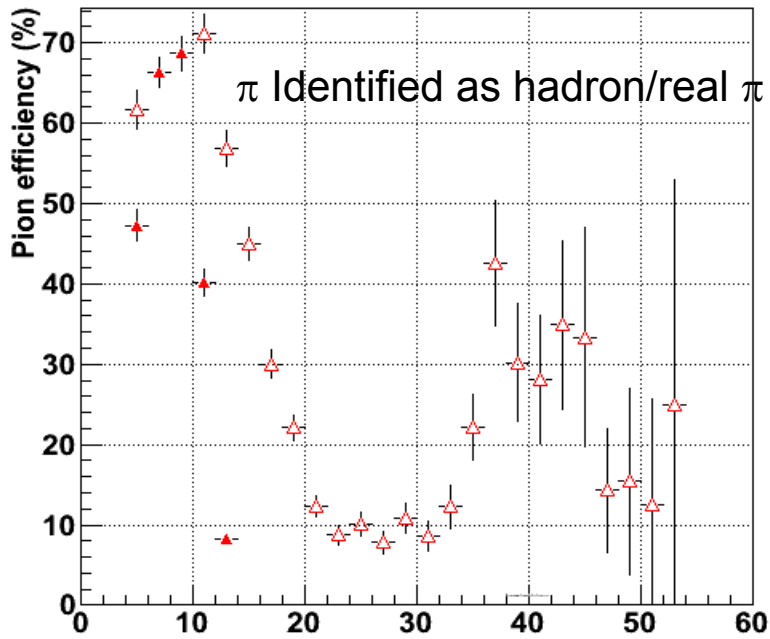
$\pi^0$  efficiency: different contributions

$\pi^0$  Identified as hadron/real  $\pi^0$

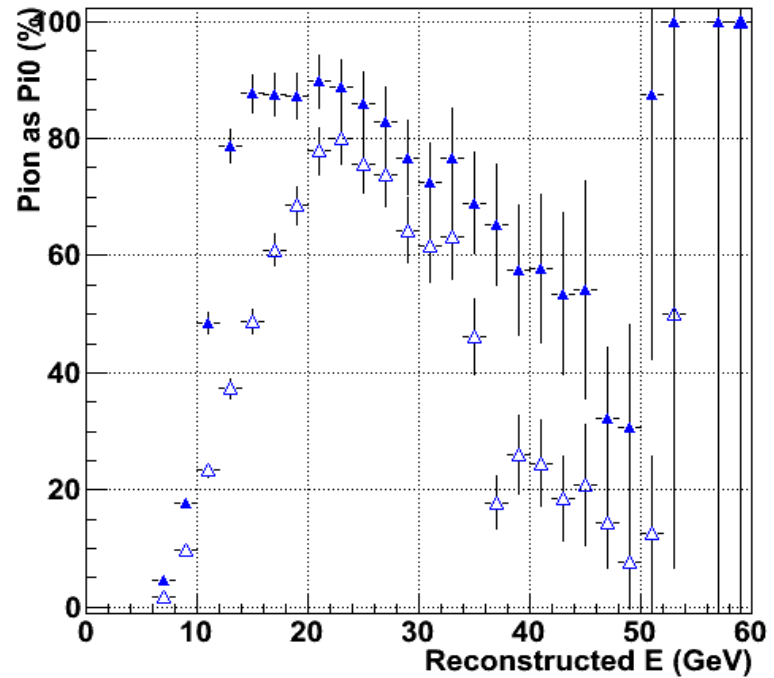
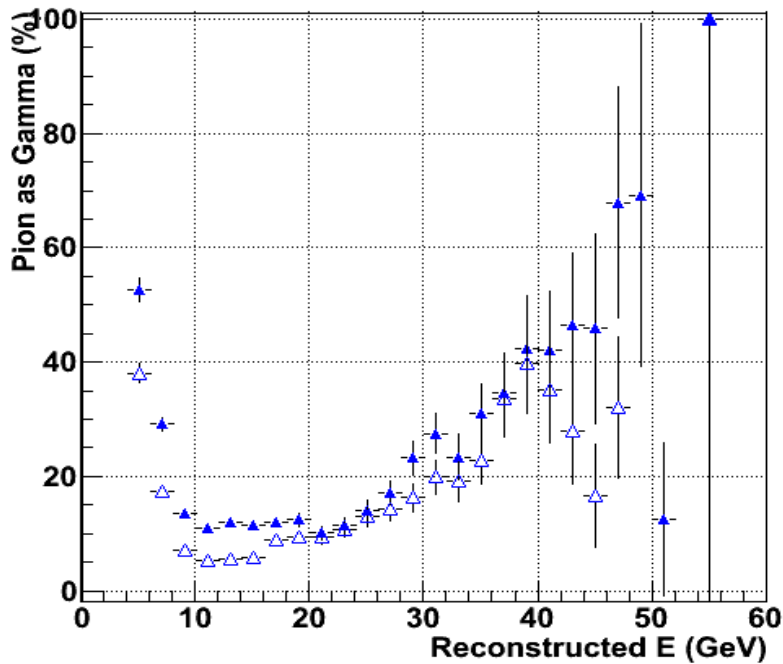


# $\rho$ $\rho$ LowFlux parametrisation

$\pi^{+/-}$  efficiency: different contributions



$\pi$  Identified as  $\pi^0$  /real  $\pi$

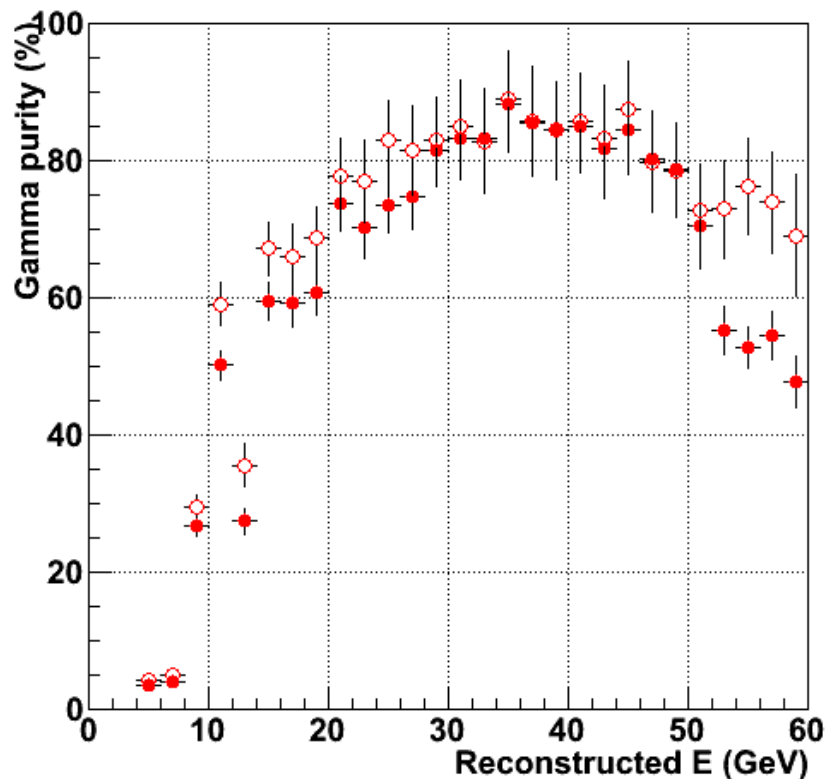
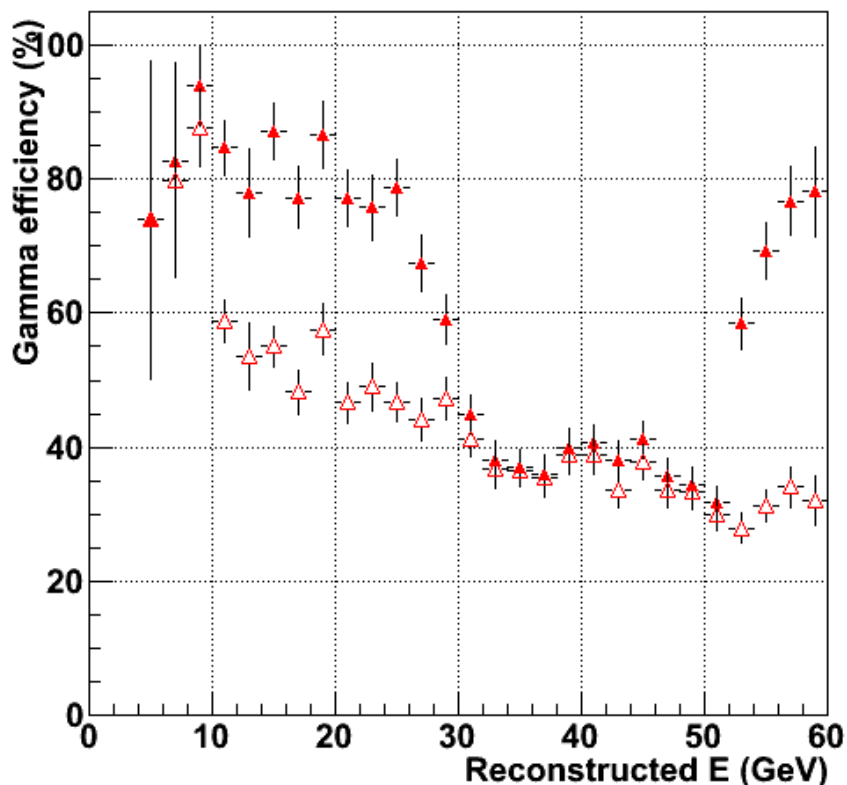


# $\gamma$ merged in PbPb@ 5.5 TeV (HIJING central)

PID criteria: probability >0.5

$$\text{Eff} = \frac{\# \text{ of } \gamma \text{ identified as } \gamma}{\# \text{ of real } \gamma}$$

$$\text{pur} = \frac{\# \text{ of } \gamma \text{ identified as } \gamma}{\# \text{ of part identified as } \gamma}$$



Open symbol : hadron probability No weighted (E)

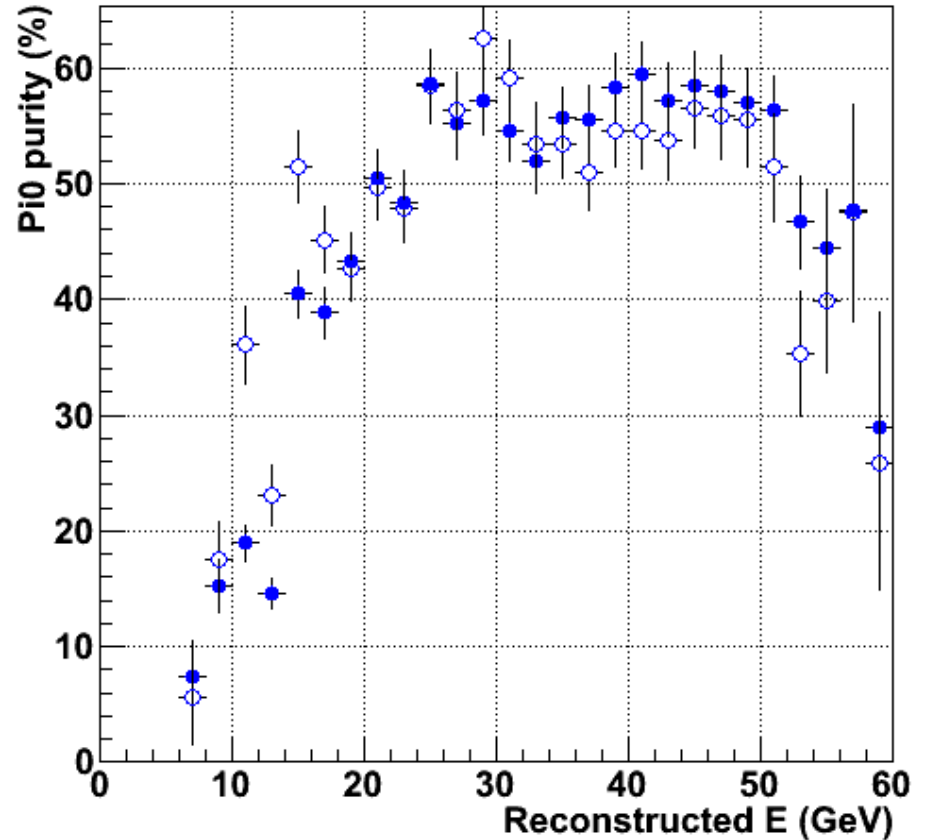
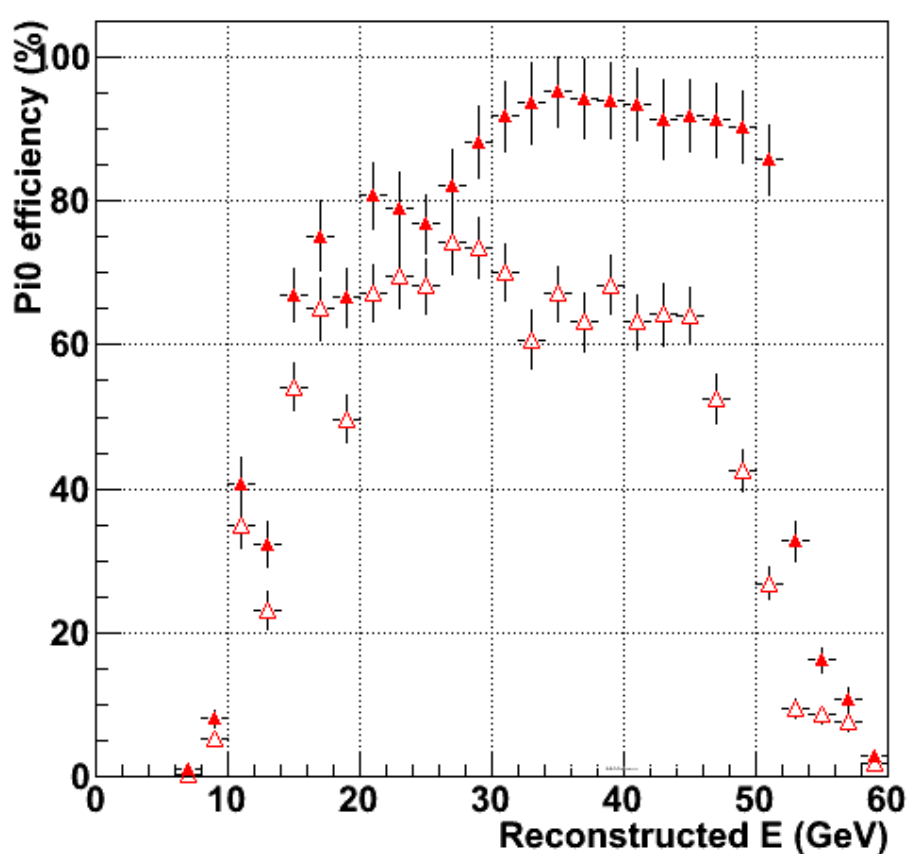
Plain symbol: hadron probability Weighted (E)



# $\pi^0$ merged in PbPb@ 5.5 TeV (HIJING central)

$$\text{Eff} = \frac{\# \text{ of } \pi^0 \text{ identified as } \pi^0}{\# \text{ of real } \pi^0}$$

$$\text{pur} = \frac{\# \text{ of } \pi^0 \text{ identified as } \pi^0}{\# \text{ of part identified as } \pi^0}$$

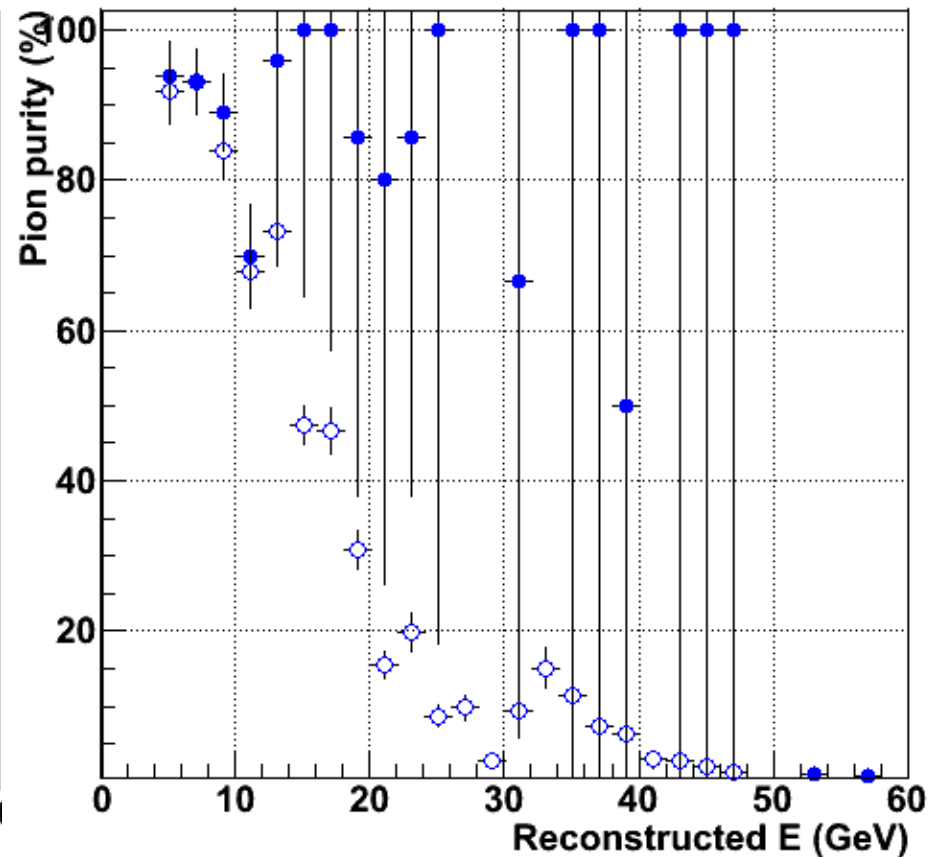
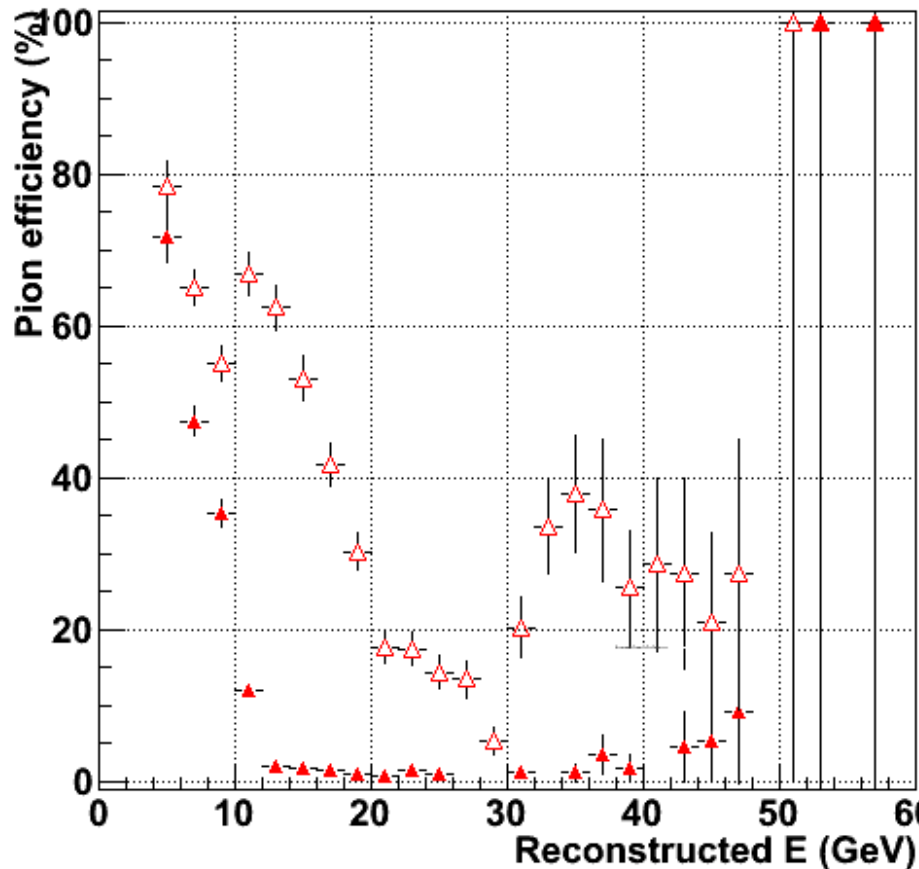


Open symbol : hadron probability No weighted (E)  
Plain symbol: hadron probability Weighted (E)

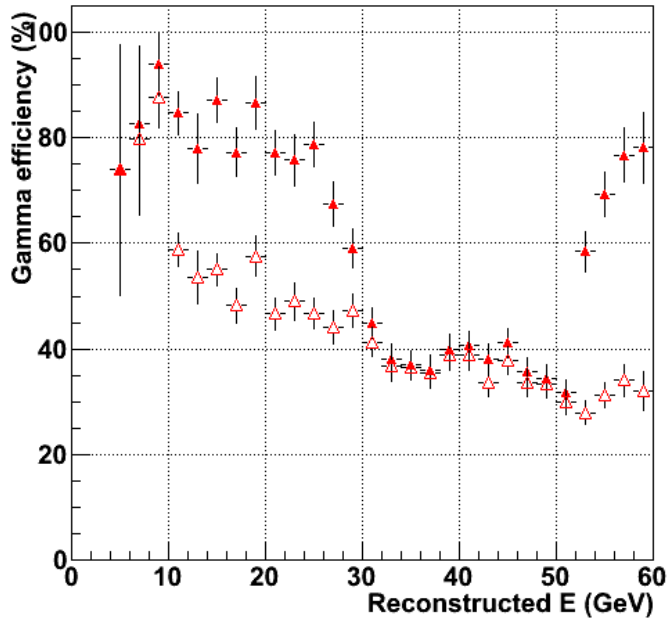
# charged $\pi$ merged in PbPb@ 5.5 TeV (HIJING central)

$$\text{Eff} = \frac{\# \text{ of } \pi \text{ identified as hadron}}{\# \text{ of real } \pi}$$

$$\text{pur} = \frac{\# \text{ of } \pi \text{ identified as hadron}}{\# \text{ of part id hadron}}$$

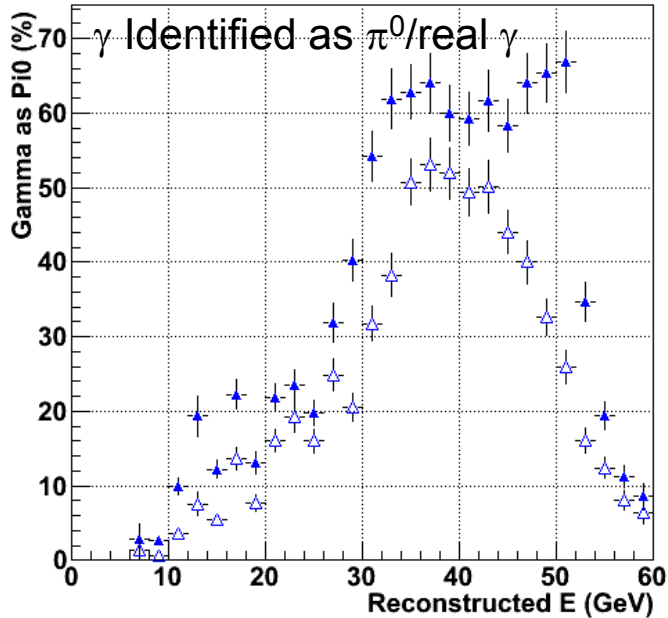
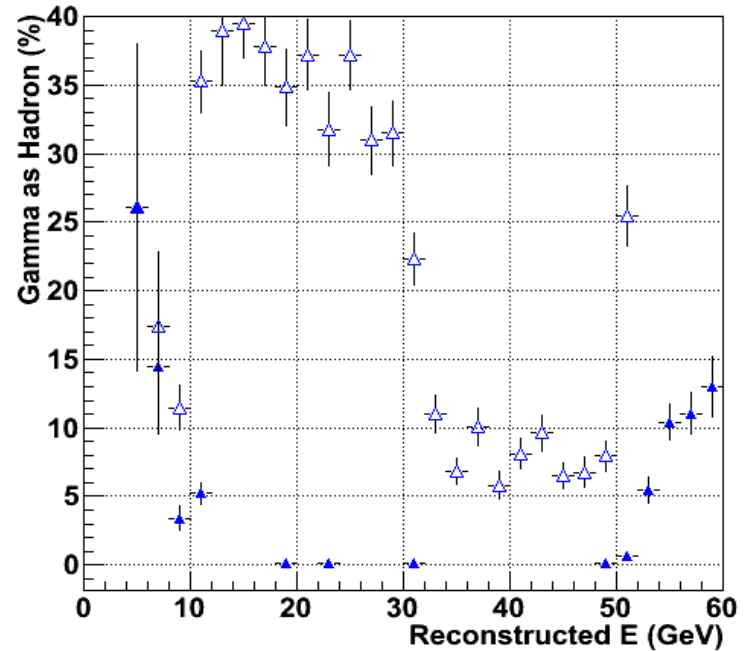


$\gamma$  Identified as  $\gamma$ /real  $\gamma$

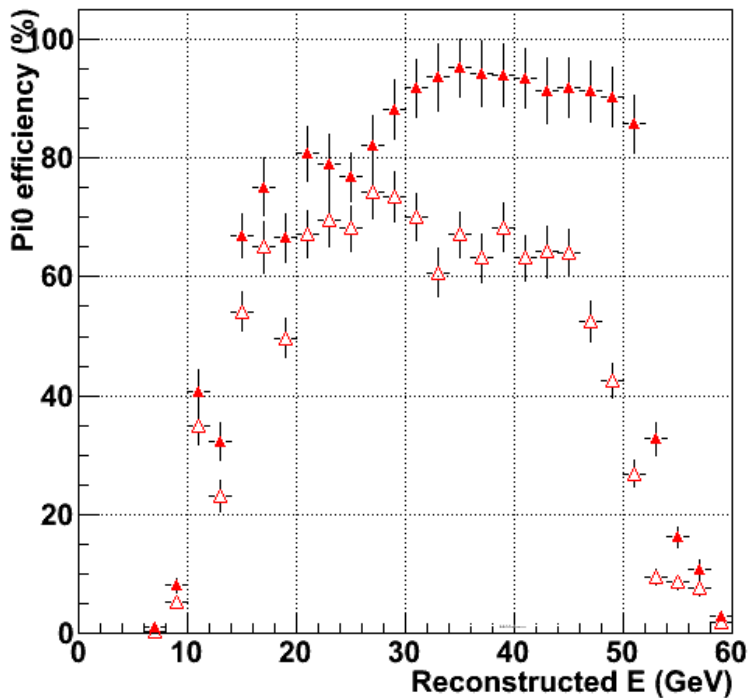


$\gamma$  efficiency: different

$\gamma$  Identified as hadron/real  $\gamma$



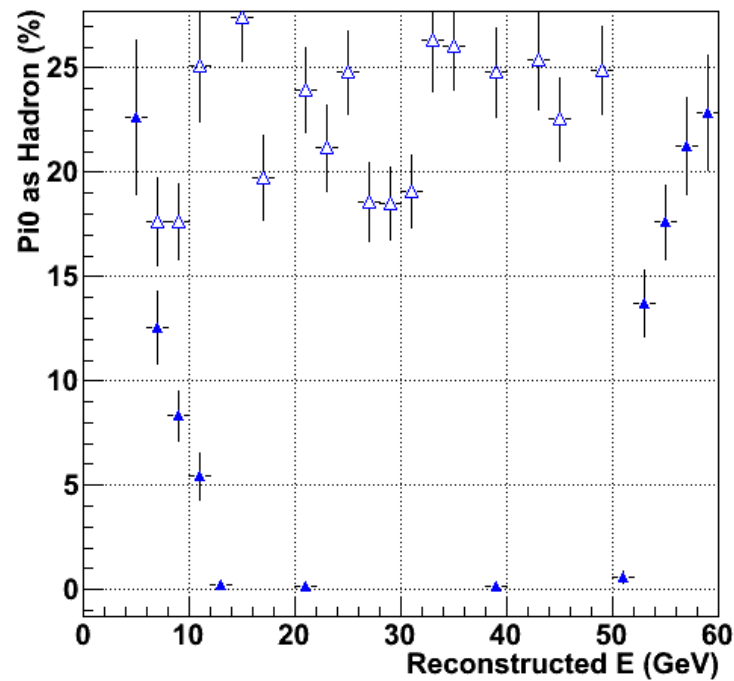
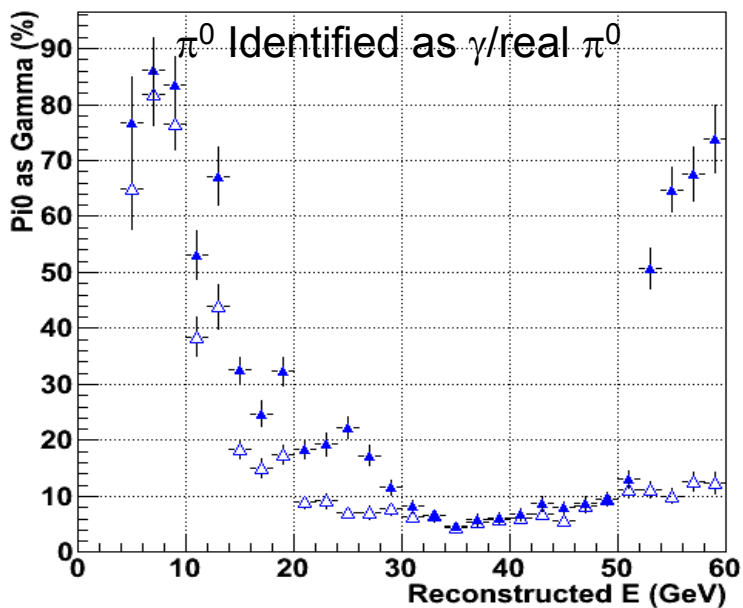
$\pi^0$  Identified as  $\pi^0$ /real  $\pi^0$



PbPb High Flux parametrisation

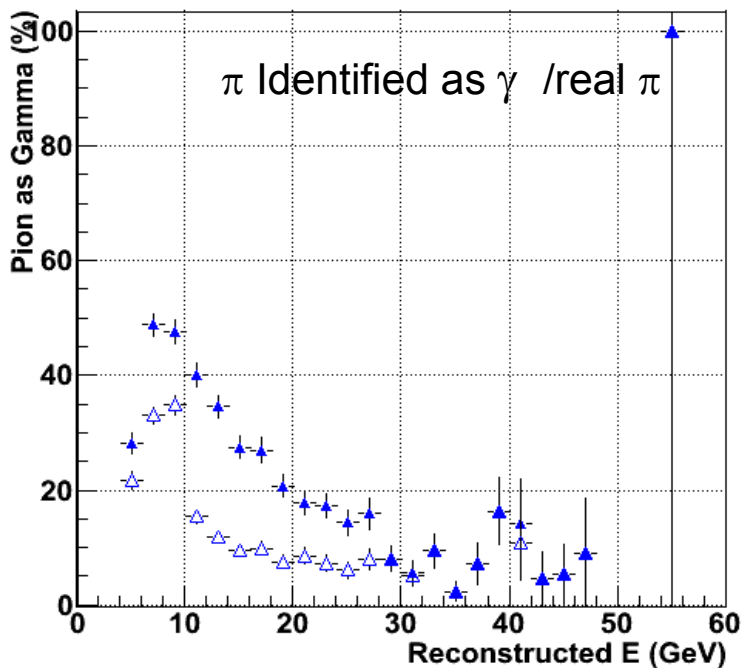
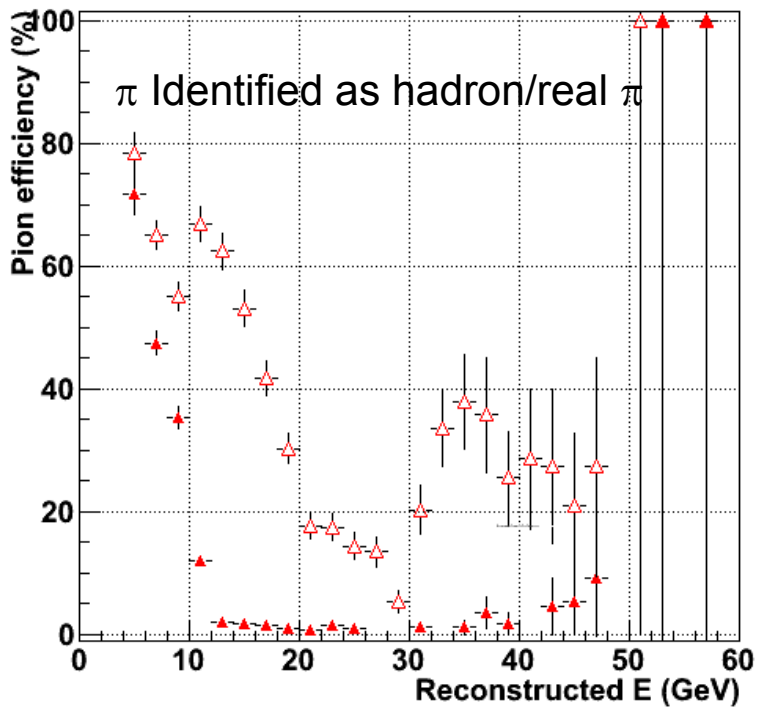
$\pi^0$  efficiency: different contributions

$\pi^0$  Identified as hadron/real  $\pi^0$

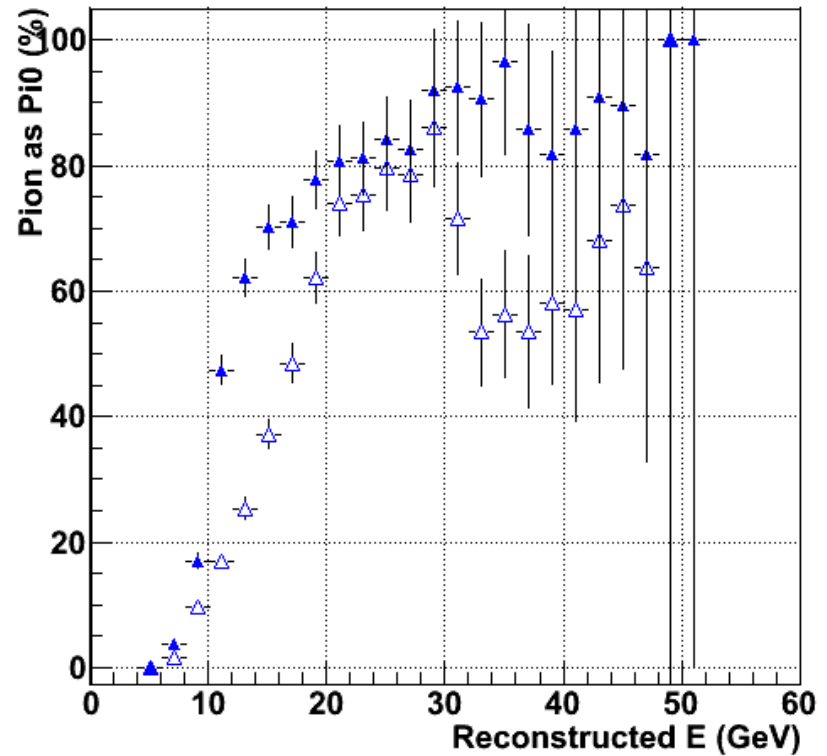


# PbPb High Flux parametrisation

$\pi^{+/-}$  efficiency: different contributions



$\pi$  Identified as  $\pi^0$  /real  $\pi$



# Conclusions

## $\gamma$ $\pi^0$ hadron discrimination in low flux with EMCAL shower shape only:

### $\gamma$ identification:

Energy : 5-40 GeV:

PID efficiency >50% very good (hadron probability weight helps)  
purity > 60 %

### $\pi^0$ identification

Energy : 10-40 GeV:

PID efficiency >50%  
purity >60%

### hadron/ $\gamma$ discrimination

Up to 10 GeV charged pions discriminated with lower than 10% contamination

## $\gamma$ $\pi^0$ hadron discrimination in High flux with EMCAL shower shape only:

Not well tuned for the moment (the hadron energy ponderation was based on simulations with low flux

AliEMCALPID class updated to take into account hadron (and others) energy weight.

Standalone class implementation for running PID after reconstruction: Ready

## To do:

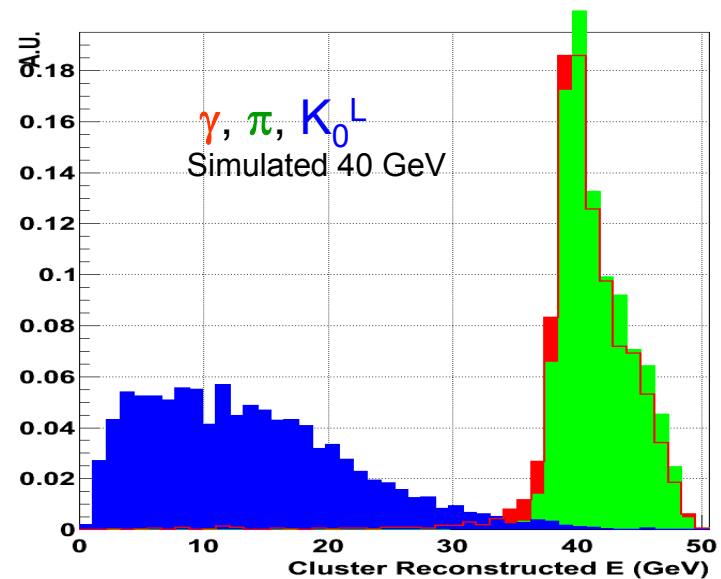
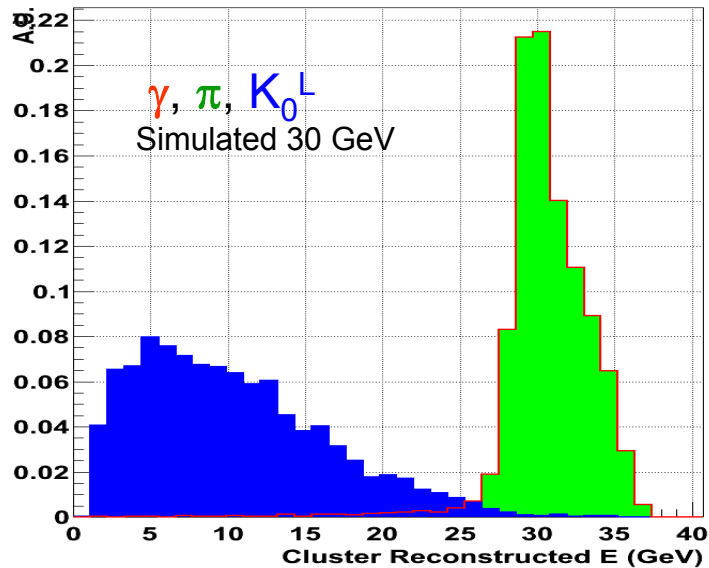
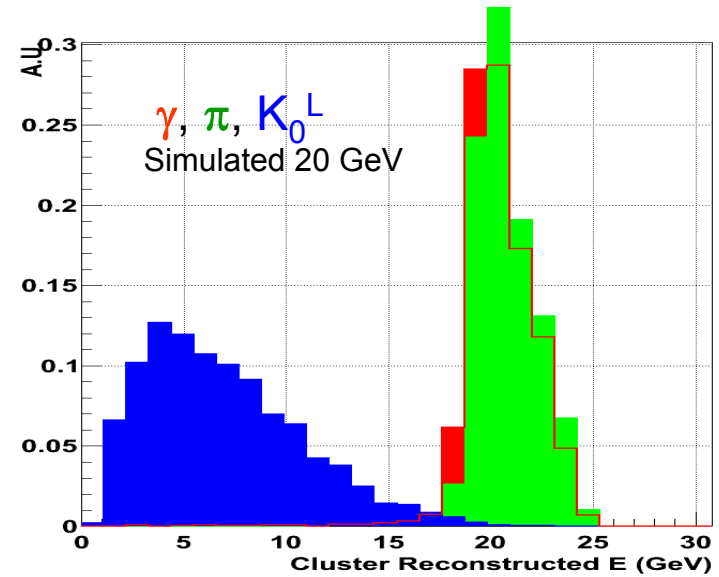
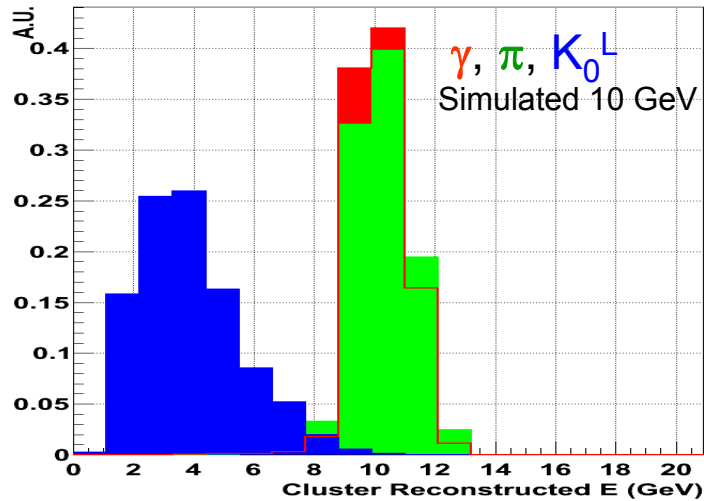
### More precise evaluation for Pb Pb

**Energy ponderation:** for hadrons OK for the moment (redo with PbPb param)

**Extend to realistic Xsection ponderation ?** for hadron,  $\gamma$   $\pi^0$  depends of the realistic spectra

Not sure we have to do it in the shower shape PID discrimination.

# Reconstructed energy distributions (High flux clusterization parameters)



# Reconstructed energy distributions (low flux clusterization parameters)

