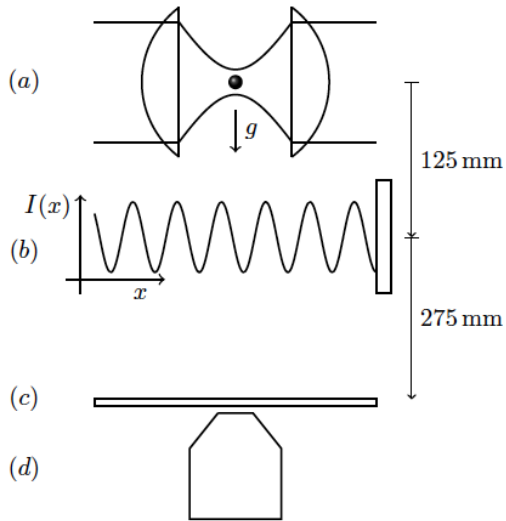


Manipulation of levitated optomechanics to test fundamental physics

Hendrik Ulbricht

University of Southampton, UK

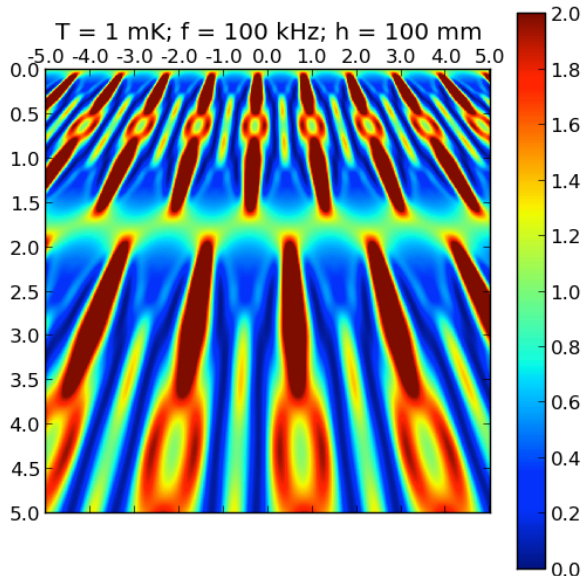
Nanoparticle Talbot Interferometer: NaTalI



Talbot interferometer with particle of mass: $10^6 - 10^7$ amu (~ 20 nm diameter)

- **Wigner function model of interference pattern**
- **Dominating decoherence effect:** Blackbody emission and absorption.
- **Mass of particle is limited by Earth's gravity ... future experiment in space?**

Quantum carpet:



Collimation/Preparation of spatial coherence translates to cooling of the particle in the trap.

Advantage compared to other schemes:
We don't need ground state of trapped particle before the drop.

LEVITATED OPTOMECHANICS

Subkelvin Parametric Feedback Cooling of a Laser-Trapped Nanoparticle

Jan Gieseler,¹ Bradley Deutsch,³ Romain Quidant,^{1,2} and Lukas Novotny^{3,4}

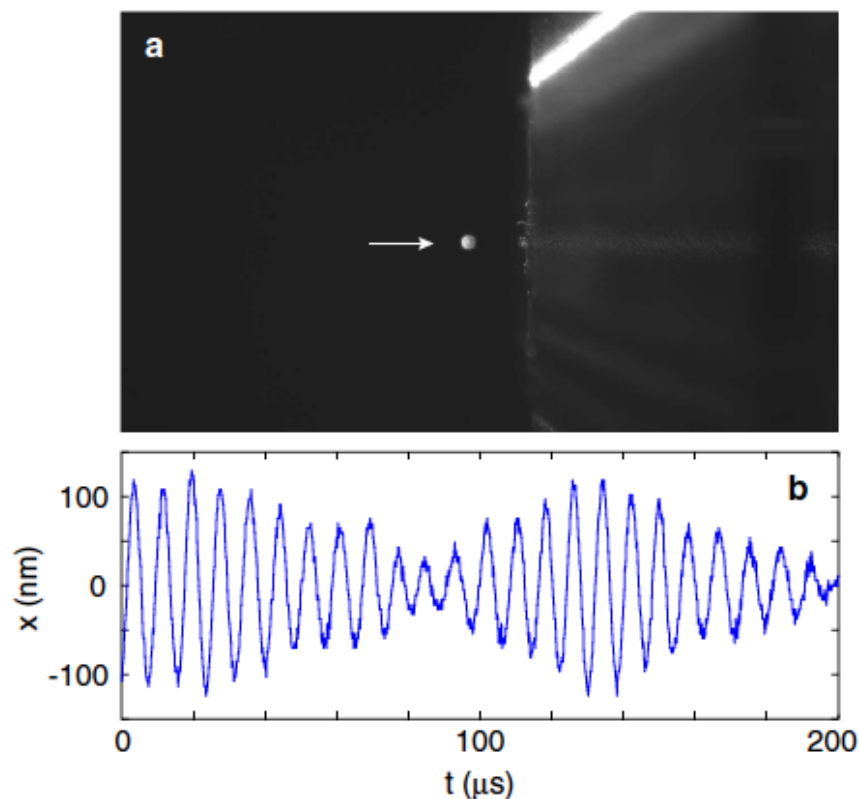
¹*ICFO-Institut de Ciències Fòniques, Mediterranean Technology Park, 08860 Castelldefels (Barcelona), Spain*

²*ICREA-Institució Catalana de Recerca i Estudis Avançats, 08010 Barcelona, Spain*

³*Institute of Optics, University of Rochester, Rochester, New York 14627, USA*

⁴*Photonics Laboratory, ETH Zürich, 8093 Zürich, Switzerland*

(Received 6 June 2012; published 7 September 2012)

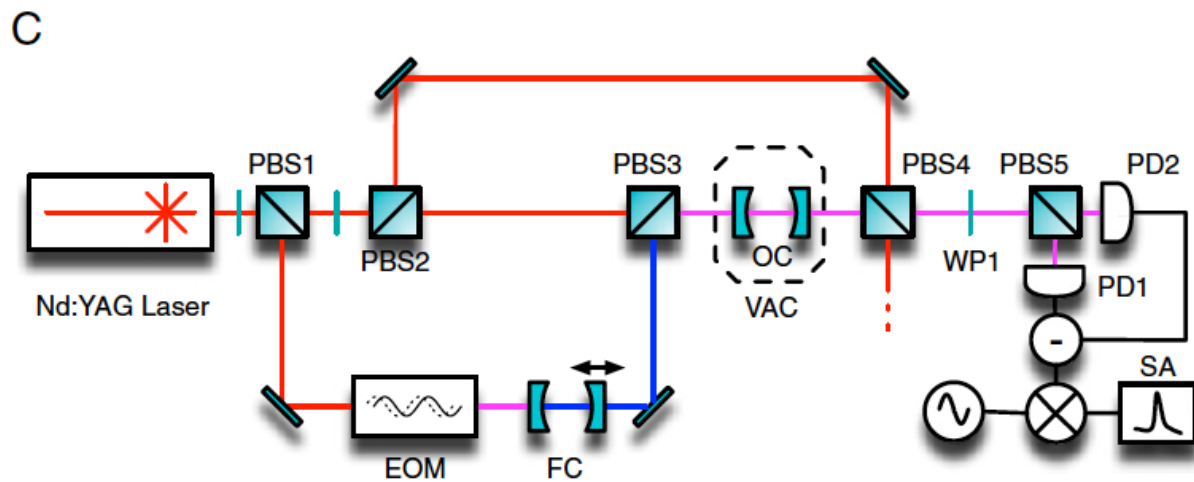
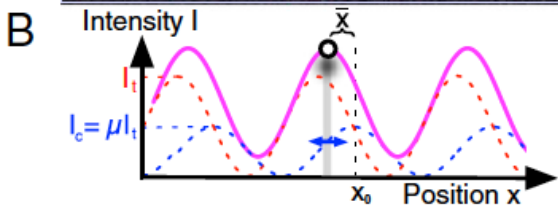
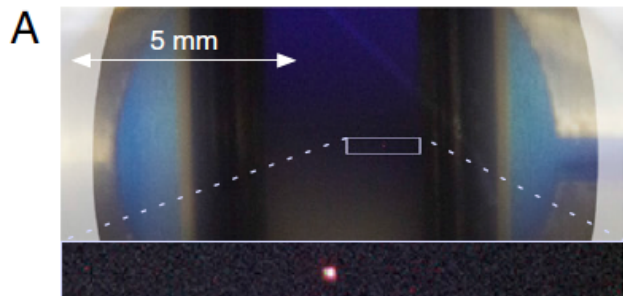


Cavity cooling of an optically levitated submicron particle

Nikolai Kiesel^{1,2}, Florian Blaser¹, Uroš Delić, David Grass, Rainer Kaltenbaek, and Markus Aspelmeyer²

Vienna Center for Quantum Science and Technology (VCQ), Faculty of Physics, University of Vienna, A-1090 Vienna, Austria

Edited by David A. Weitz, Harvard University, Cambridge, MA, and approved July 16, 2013 (received for review May 14, 2013)



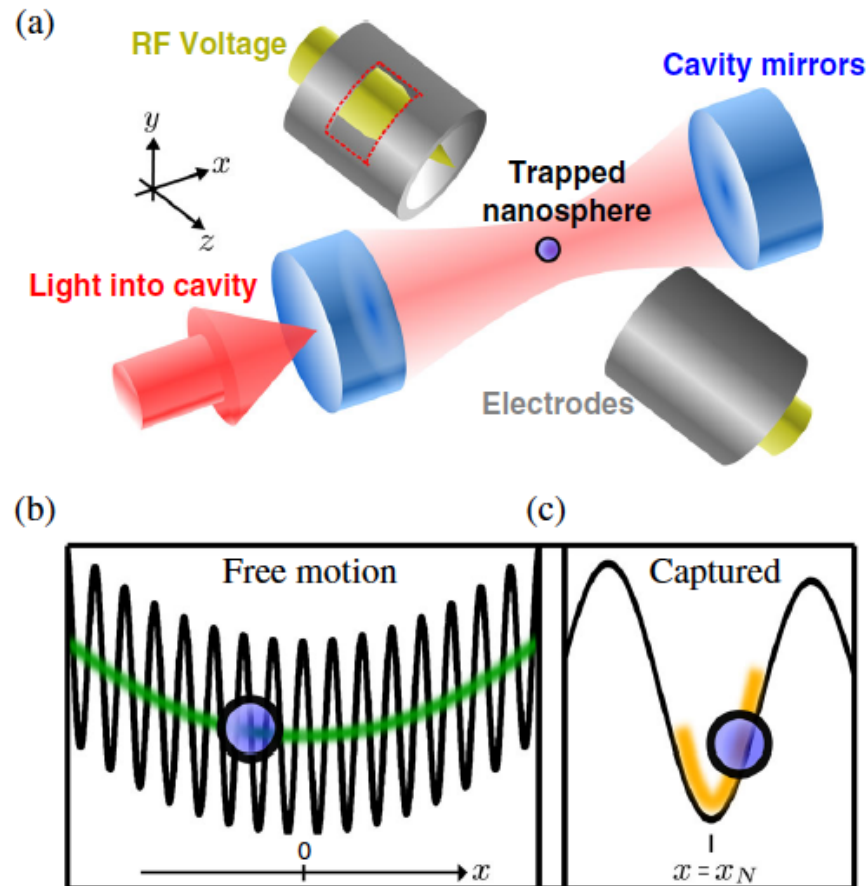


Cavity Cooling a Single Charged Levitated Nanosphere

J. Millen, P. Z. G. Fonseca, T. Mavrogordatos, T. S. Monteiro, and P. F. Barker*

Department of Physics and Astronomy, University College London, Gower Street, London WC1E 6BT, United Kingdom

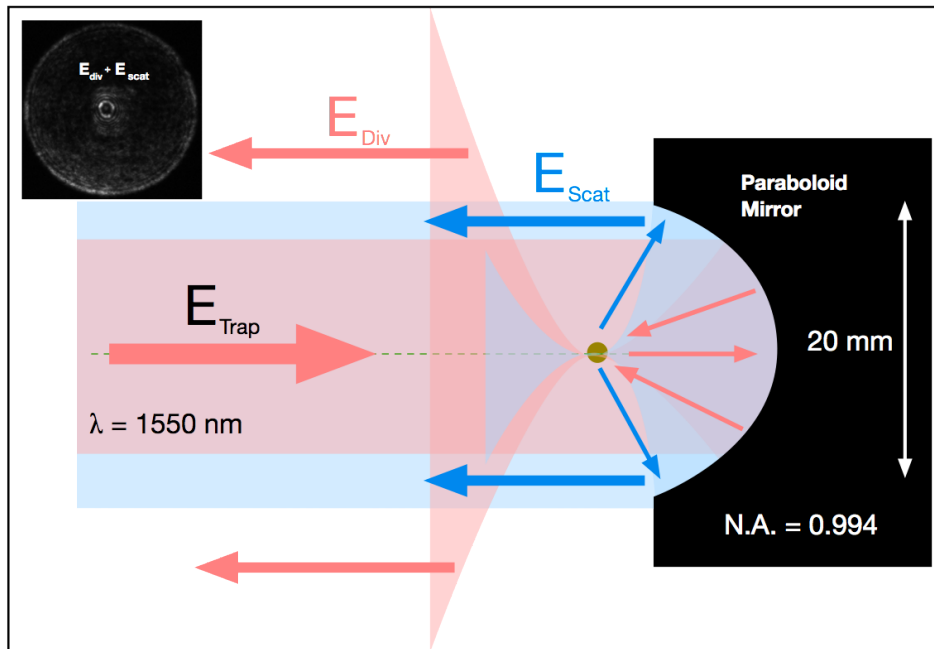
(Received 31 December 2014; published 27 March 2015)



Experiments with nanoparticles: the particle optical trap

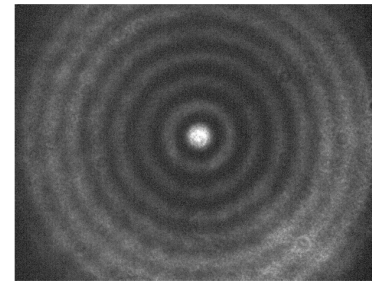
- Trap a single particle in vacuum
- Optical parametric feedback to cool the centre of mass motion

Setup schematics:

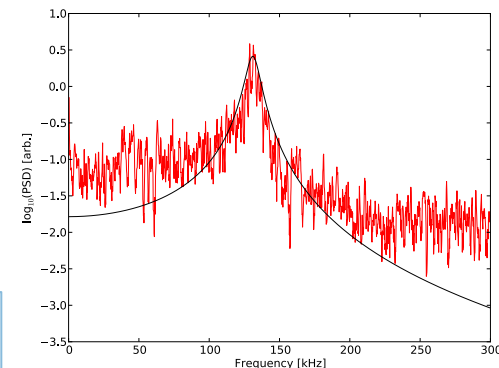


Particle in the trap:

42 nm – 150 nm diameter SiO_2 , <100 mW, NA=0.9, down to 1×10^{-6} mbar



Mechanical frequency measurement:

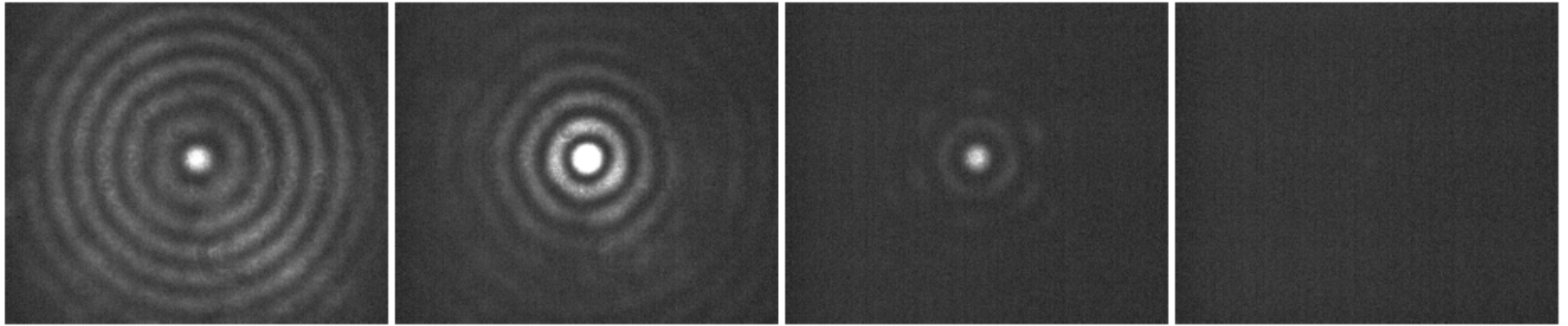


Trapping, 3d imaging, and 3d cooling done with a single beam of 1550nm light.

Signal for detection of motion of particle: optical interference pattern

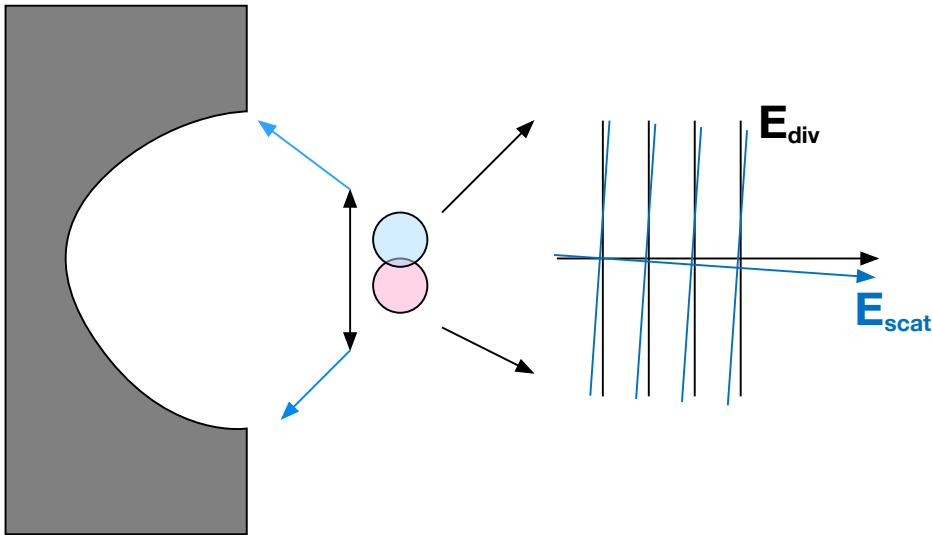
Large Iris Aperture

Small Iris Aperture



Decreasing Iris Aperture Size

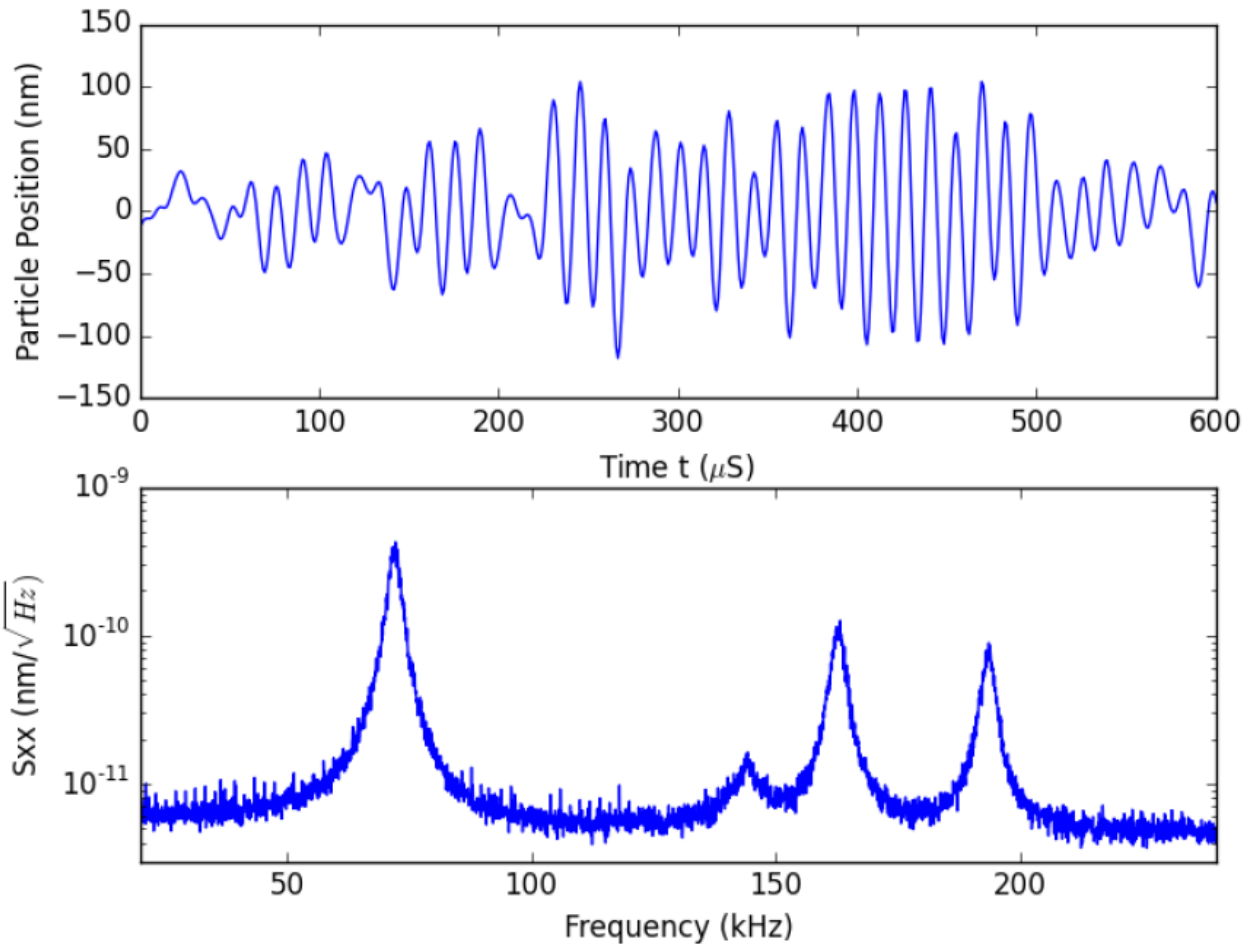
Light Interferometry for Particle Detection of x,y motion:



The total intensity at the detector is:

$$I \propto |E_{total}|^2 = |E_{div} + E_{scat}|^2 = E_{div}^2 + 2E_{div}E_{scat} \sin(\phi_{scat}) + E_{scat}^2$$

See the mechanical oscillation ...

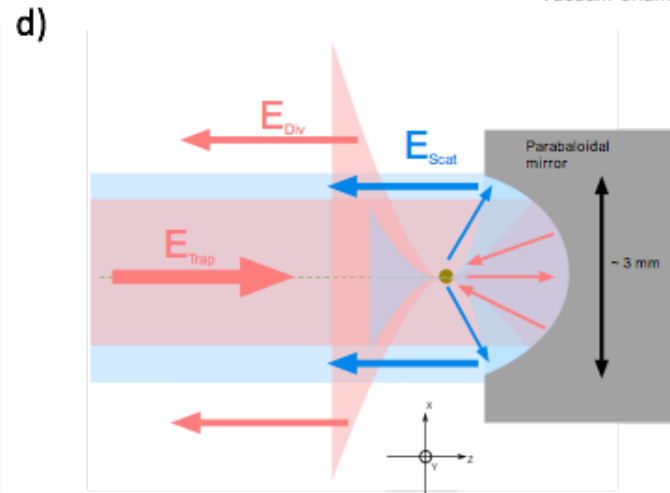
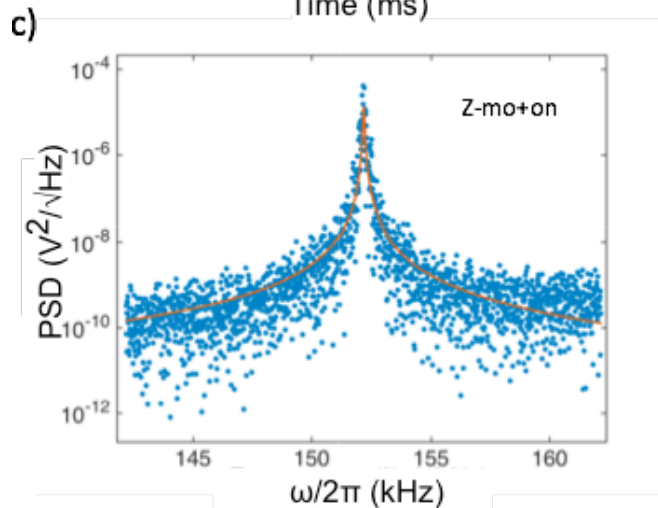
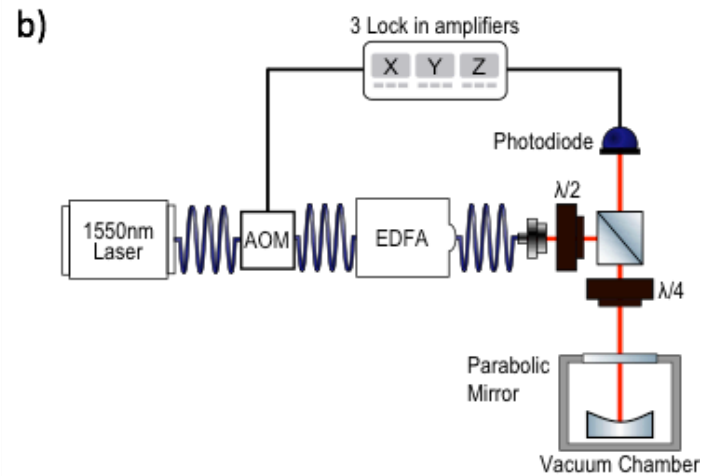
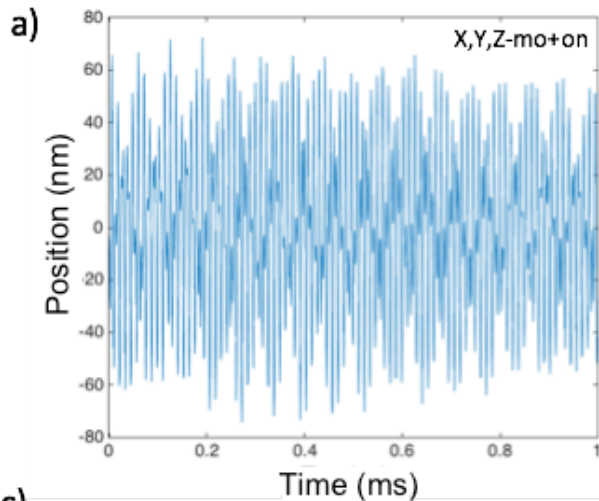


$$\omega_0 = \sqrt{k_0/m} \quad , \text{ with } k_0 = 8\alpha P / (c\pi\epsilon_0 w_f^4)$$

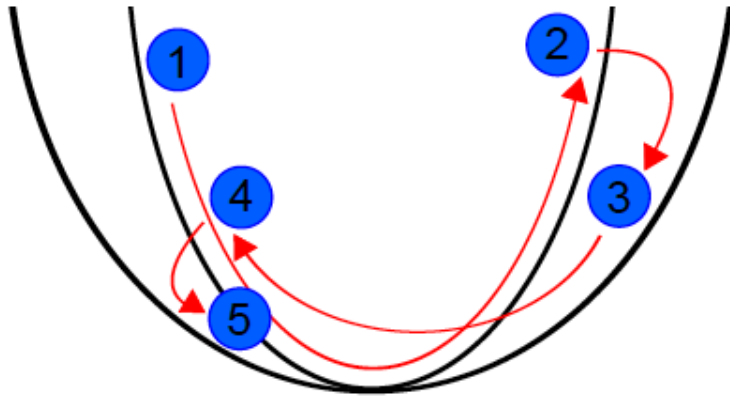
Trap and measure position ...

Equation of motion: $\ddot{x}(t) + \Gamma_0 \dot{x}(t) + \omega_0^2 x(t) = \frac{1}{m} [F_{\text{fluct}}(t) + F_{\text{feed}}(t)]$

Power spectral density: $S_x(\omega) = \frac{k_B T_0}{\pi m} \frac{\Gamma_0}{([\omega_0 + \delta\omega]^2 - \omega^2)^2 + \omega^2 [\Gamma_0 + \delta\Gamma]^2}$



Parametric Feedback Cooling: use the interference signal to modulate the trapping laser light intensity

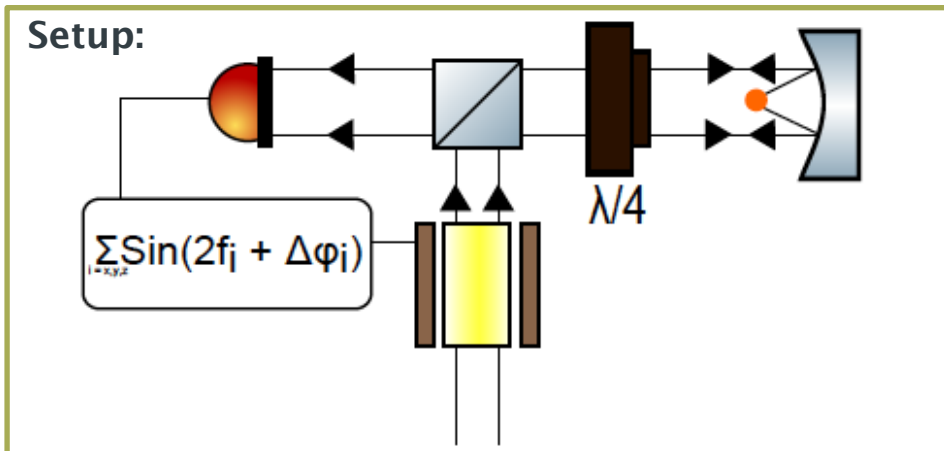


- Cooling the COM motion of the particle by modulation of the trap depth => trapping laser power modulation

- Increase trap depth when particle is moving away from center.
- Decrease trap depth when particle is moving towards the depth.

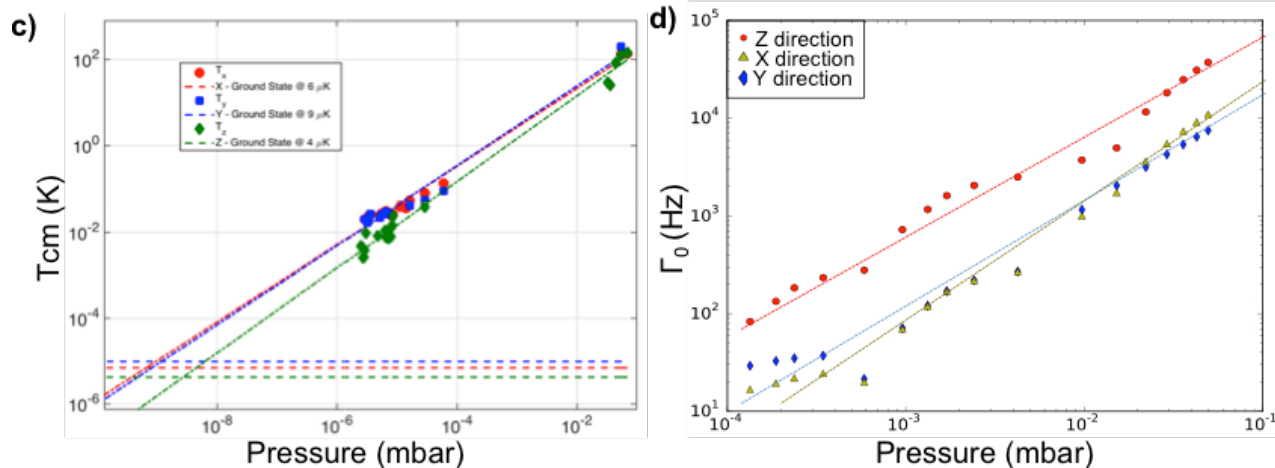
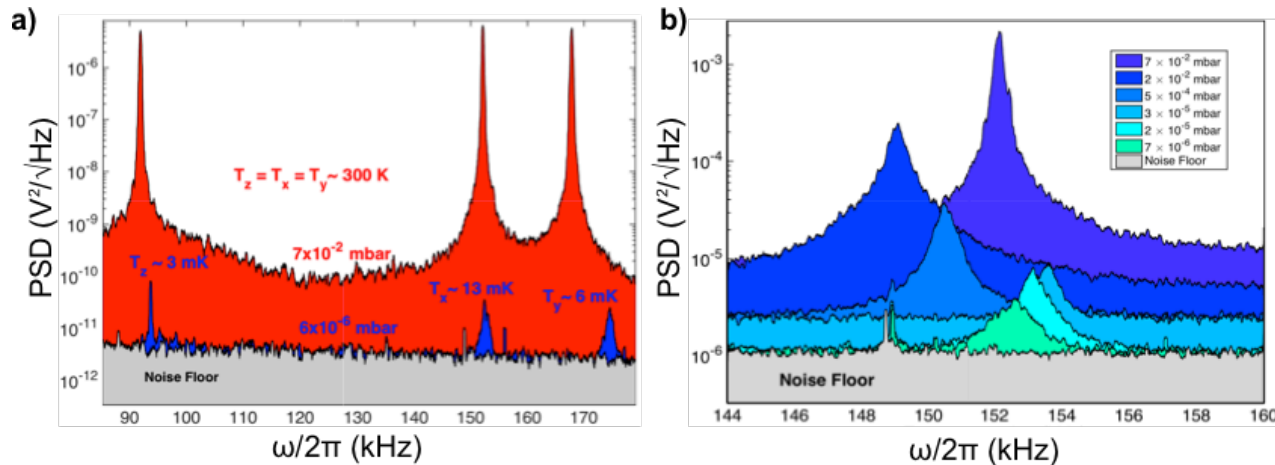
- Feedback signal in the form of:

$$\propto \sin(2\omega_0 t + \phi)$$



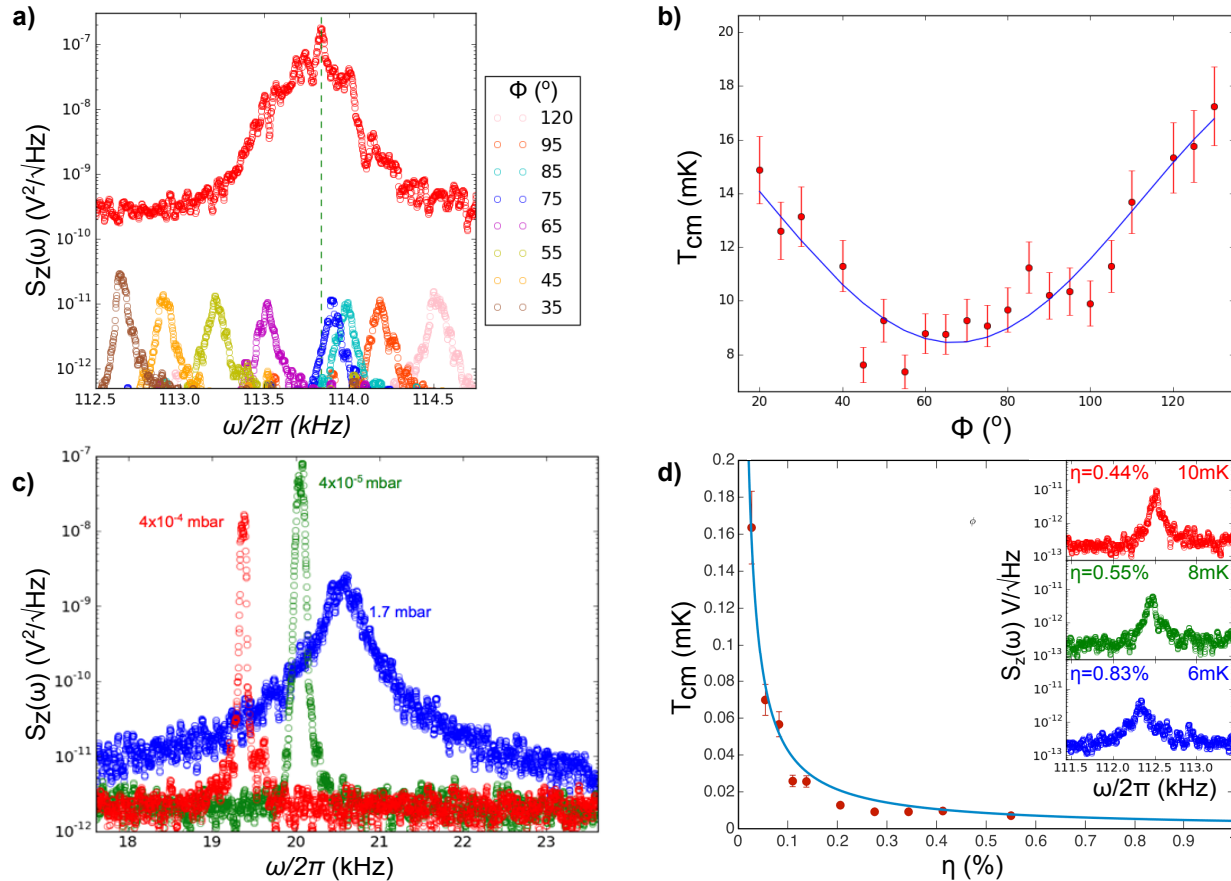
Studying the dynamics of the trapped particle ...

Power spectral density:
$$S_x(\omega) = \frac{k_B T_0}{\pi m} \frac{\Gamma_0}{([\omega_0 + \delta\omega]^2 - \omega^2)^2 + \omega^2[\Gamma_0 + \delta\Gamma]^2}$$



- 26nm to 150nm particle
- X,y,z cooled to ~1 mK
- $Q = 10^7$ measured @ 10^{-5} mbar
- Damping by gas collision
- $200\text{fm}/\sqrt{\text{Hz}}$ position resolution of detection

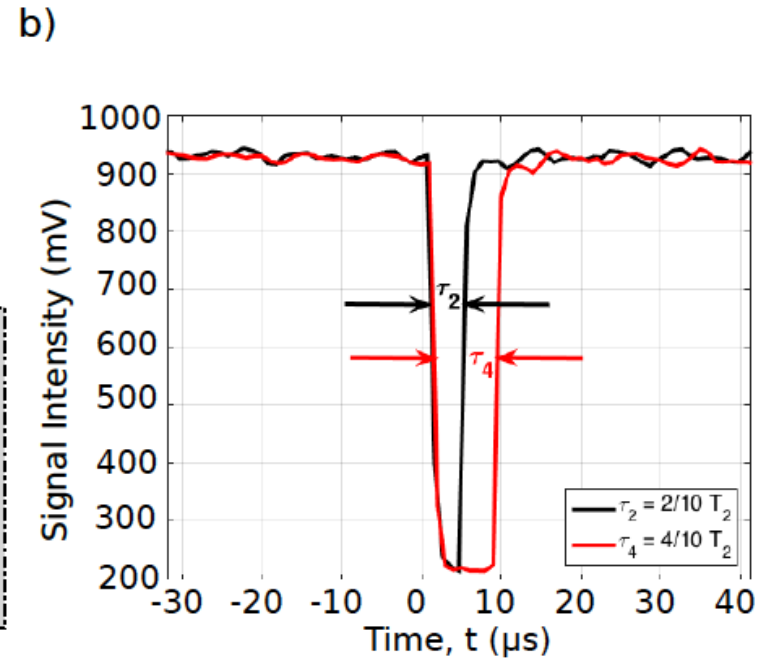
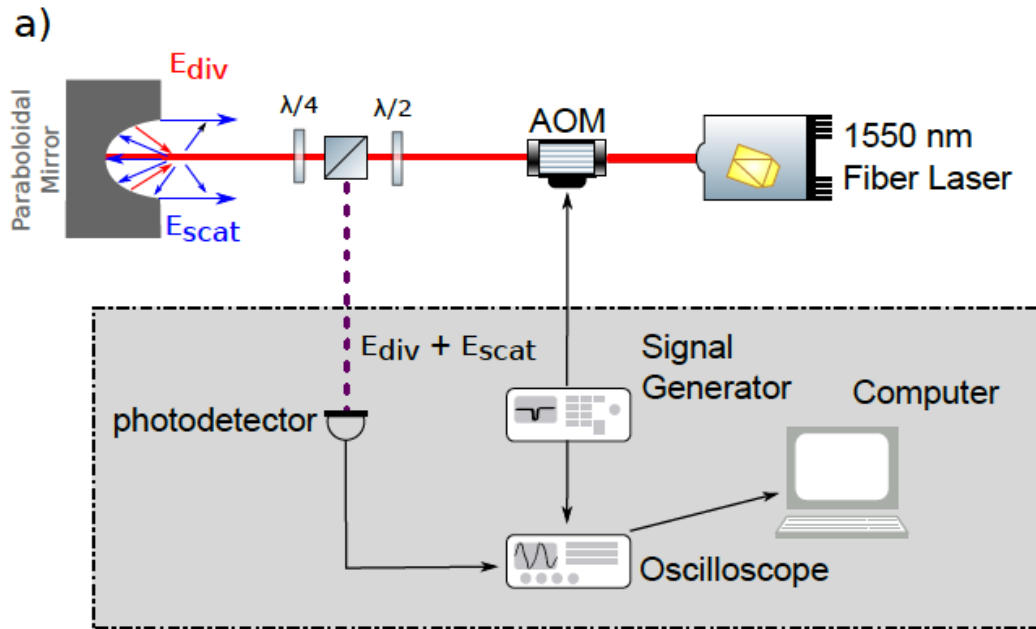
The effect of the parametric feedback ...



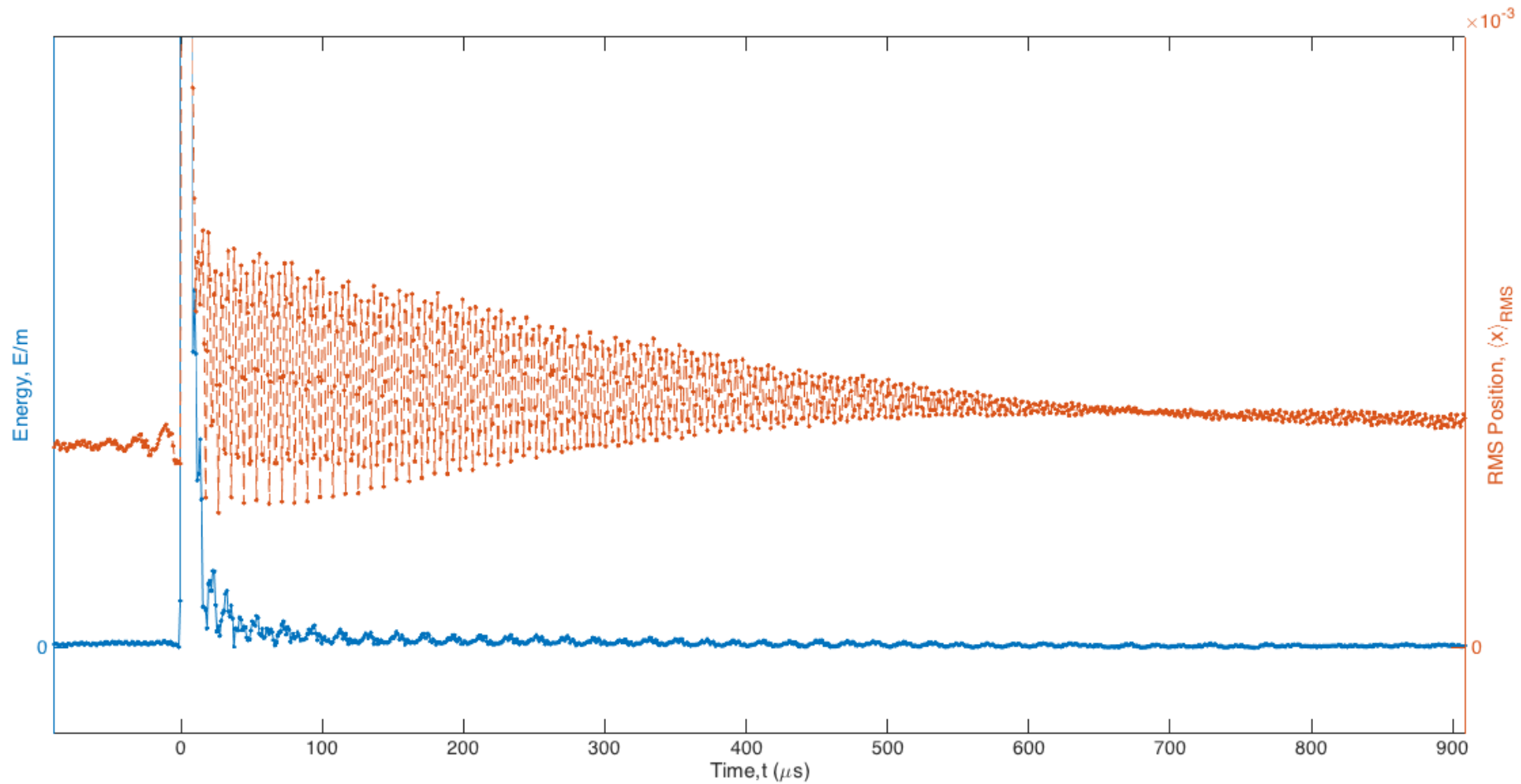
- **Result:** We have a source, now we build the Talbot Interferometer to test the superposition principle in a new mass range!
- To cool further we need to overcome the present limit by the noise of the electronics.

**LEVITATED
OPTOMECHANICS:
SQUEEZING/SQUASHING**

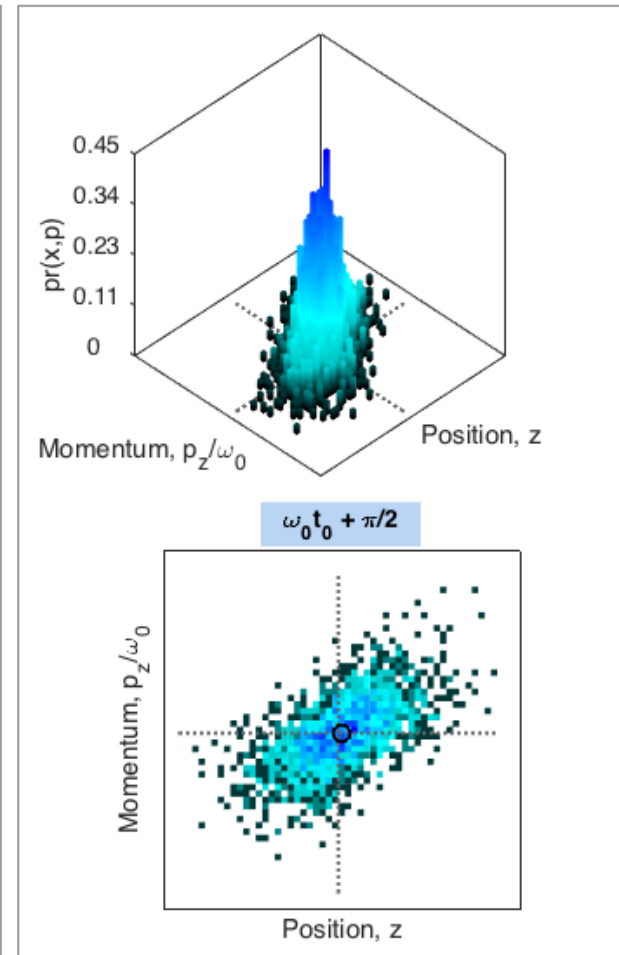
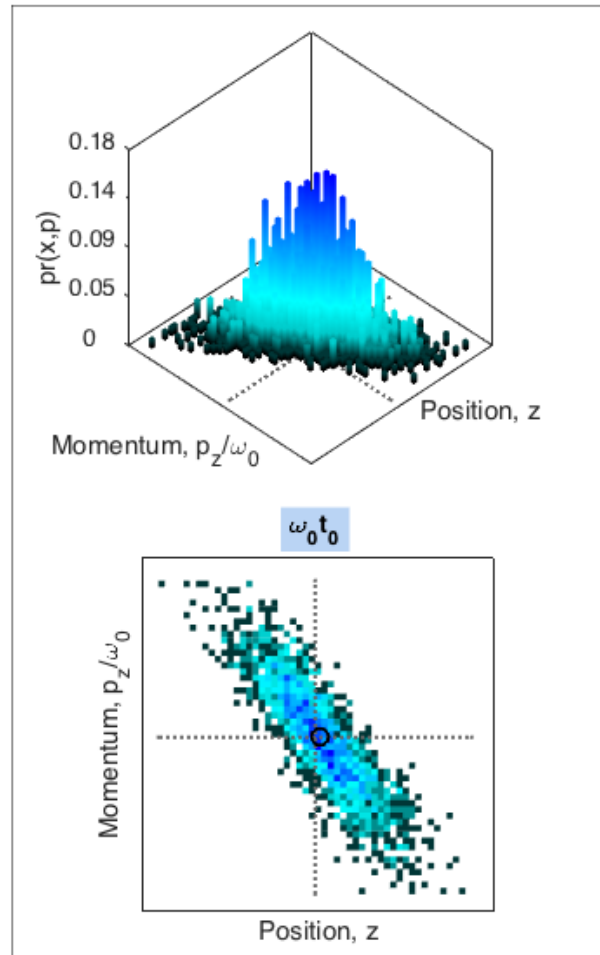
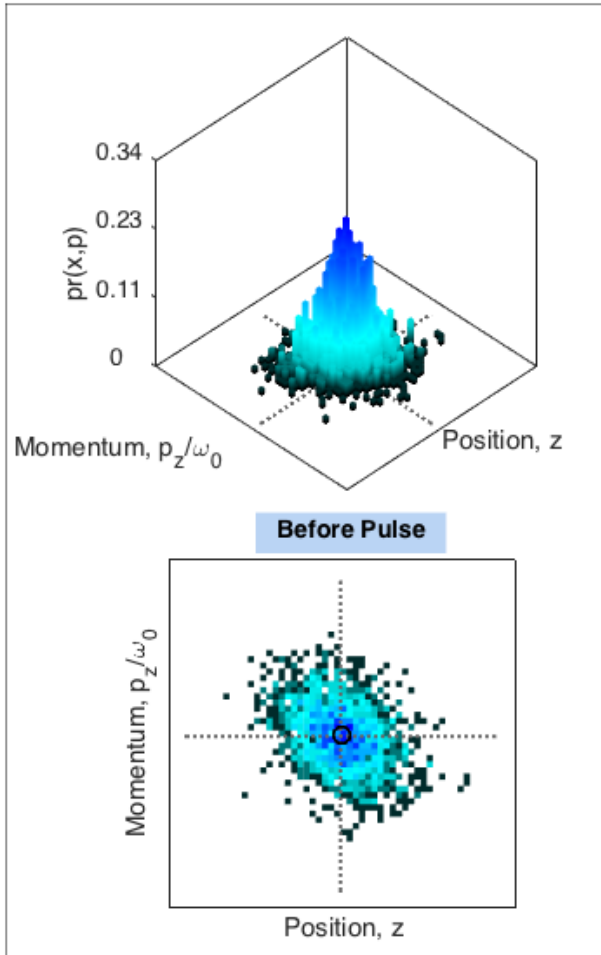
Squeezing/Squashing: by fast switching the trap frequency



RMS position vs time



Squeezing the thermal motion



**NOW FOR SOMETHING
COMPLETELY DIFFERENT...
SEMICLASSICAL GRAVITY**

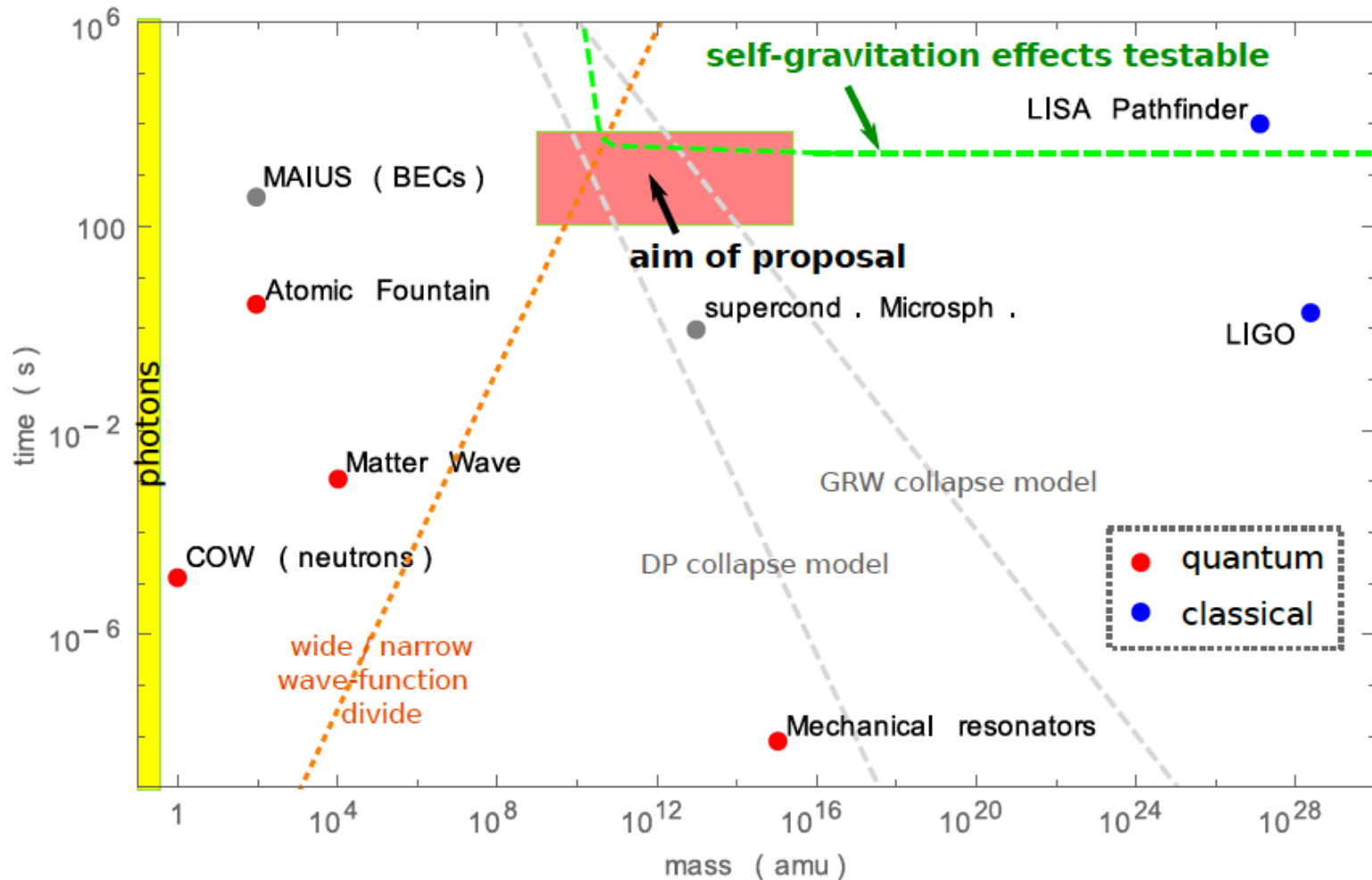
Schrodinger-Newton (SN): semi-classical gravity

$$R_{\mu\nu} + \frac{1}{2}g_{\mu\nu}R = \frac{8\pi G}{c^4} \langle \Psi | \hat{T}_{\mu\nu} | \Psi \rangle .$$

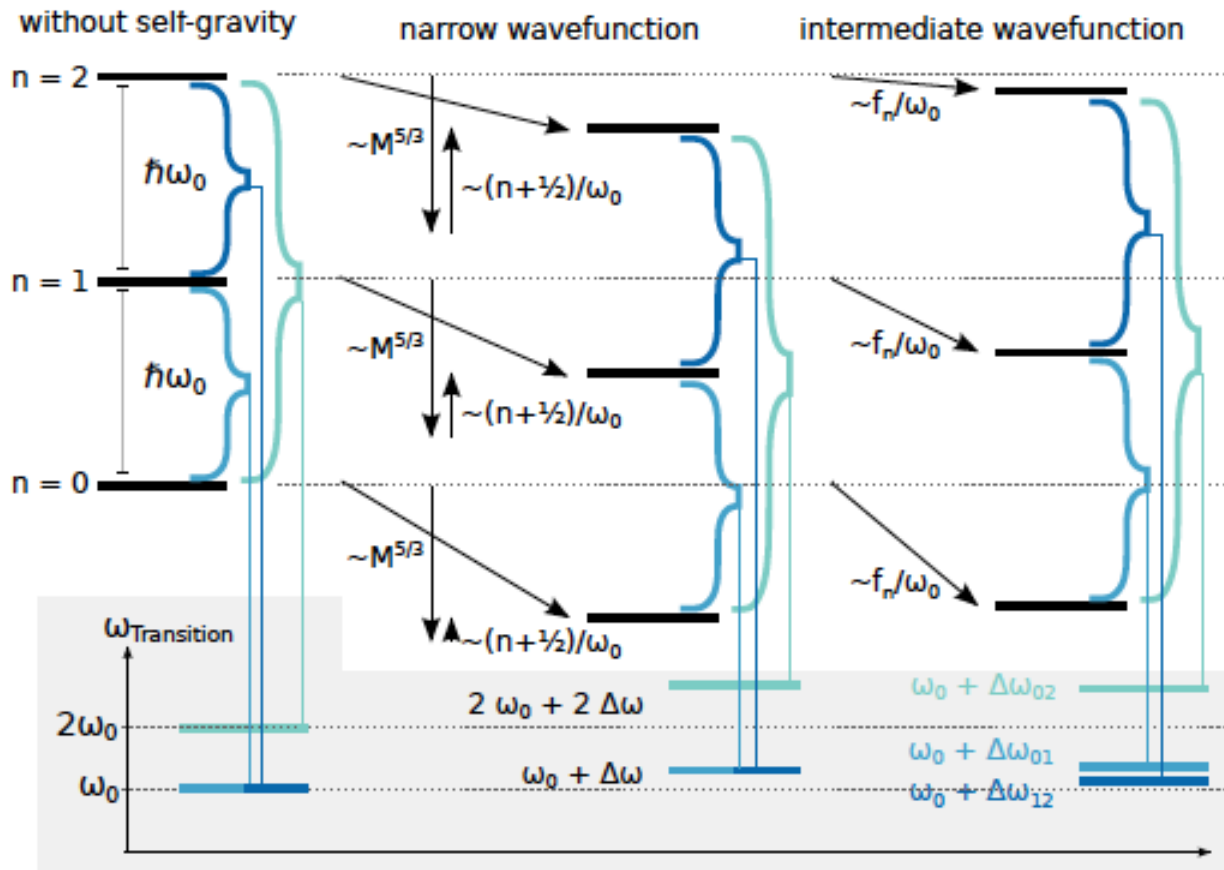
$$i\hbar \frac{\partial}{\partial t} \psi(t, \mathbf{r}) = \left(\frac{\hbar^2}{2M} \nabla^2 + V_{\text{ext}} + V_g[\psi] \right) \psi(t, \mathbf{r})$$
$$V_g[\psi](t, \mathbf{r}) = -G \int d^3r' |\psi(t, \mathbf{r}')|^2 I_{\rho_c}(\mathbf{r} - \mathbf{r}') .$$

Obvious option for test: study free wavefunction expansion

Wave function expansion: a case for space



Our proposal: Predicted shifts of energy levels according to SN



- SN shift of energy levels of mechanical harmonic oscillator
- Feasible for a test With existing tech

Thanks to ...

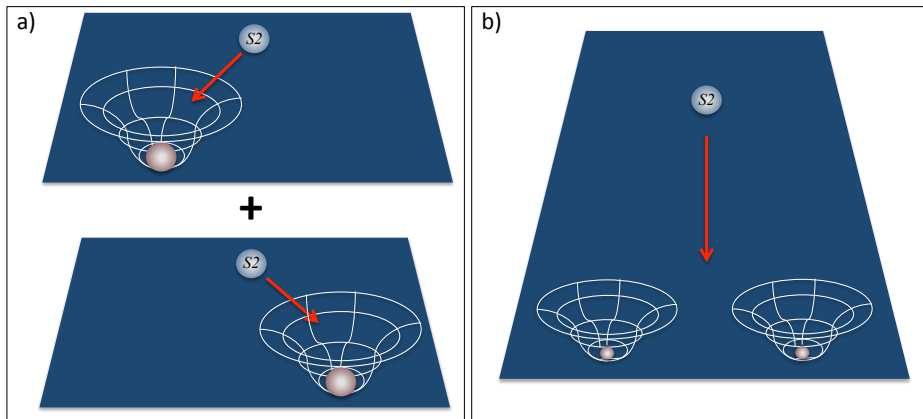
- **Group at Southampton:** Muddassar Rashid, David Hempston, Jamie Vovrosh, Ashley Setter, George Winstone, Chris Timberlake, Marko Toros.
- **Quantum Optics Theory:** Mauro Paternostro, Myungshik Kim, Sougato Bose, Tommaso Tufarelli.
- **Matter-wave Interferometry and Experiments:** Klaus Hornberger, Peter Barker, Markus Aspelmeyer, Nikolai Kiesel.
- **Foundations of Physics:** Angelo Bassi & group, Tejinder P Singh, Andre Grossardt.

Support from: EPSRC, Templeton Foundation, The Leverhulme Trust, COST, FQXi

Application: Experimental test of gravity

How does the gravitational field of a spatial quantum superposition state look like?

Is Gravity Quantum?



This test seems to be feasible with today's optomechanics devices and technology.

Idea for the experimental setup

