

LATTICE FIELD THEORY RESULTS ON NEW STRONG DYNAMICS

Enrico Rinaldi

NEW STRONG DYNAMICS

Composite Higgs

Composite Dark Matter

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New $SU(\mathbf{N}_c)$ gauge sector with \mathbf{N}_f fermions in the \mathbf{N}_r representation of the gauge group

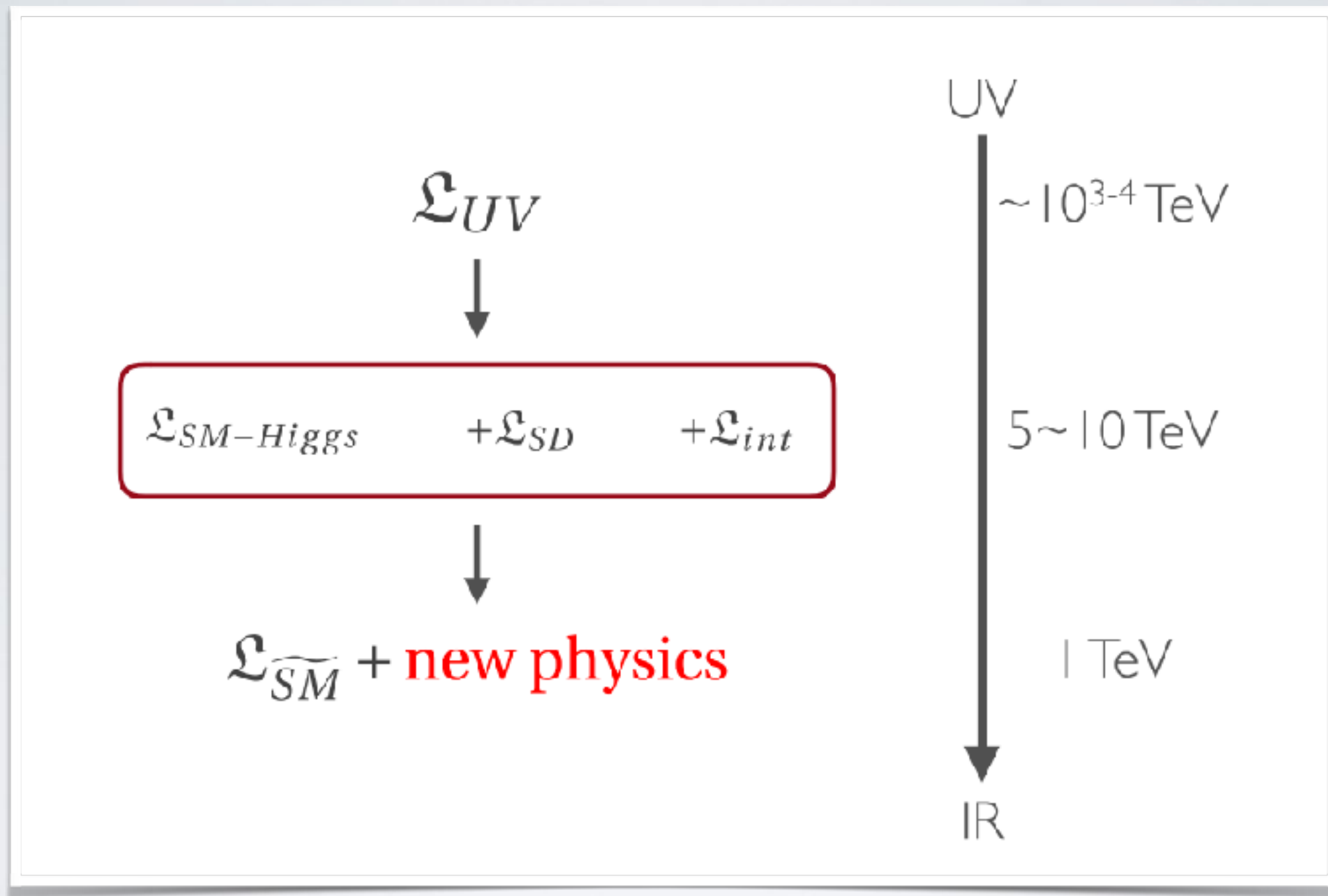
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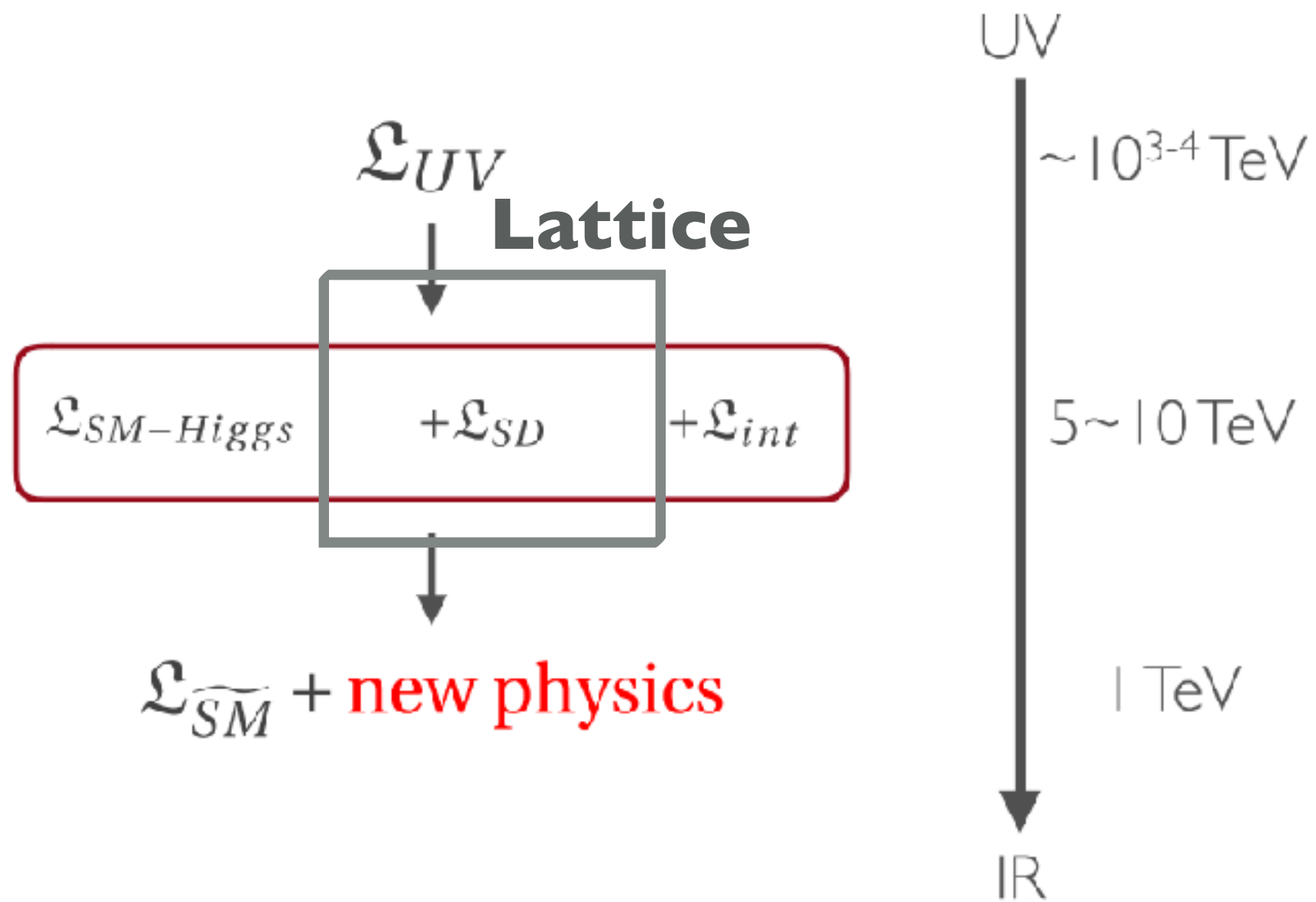
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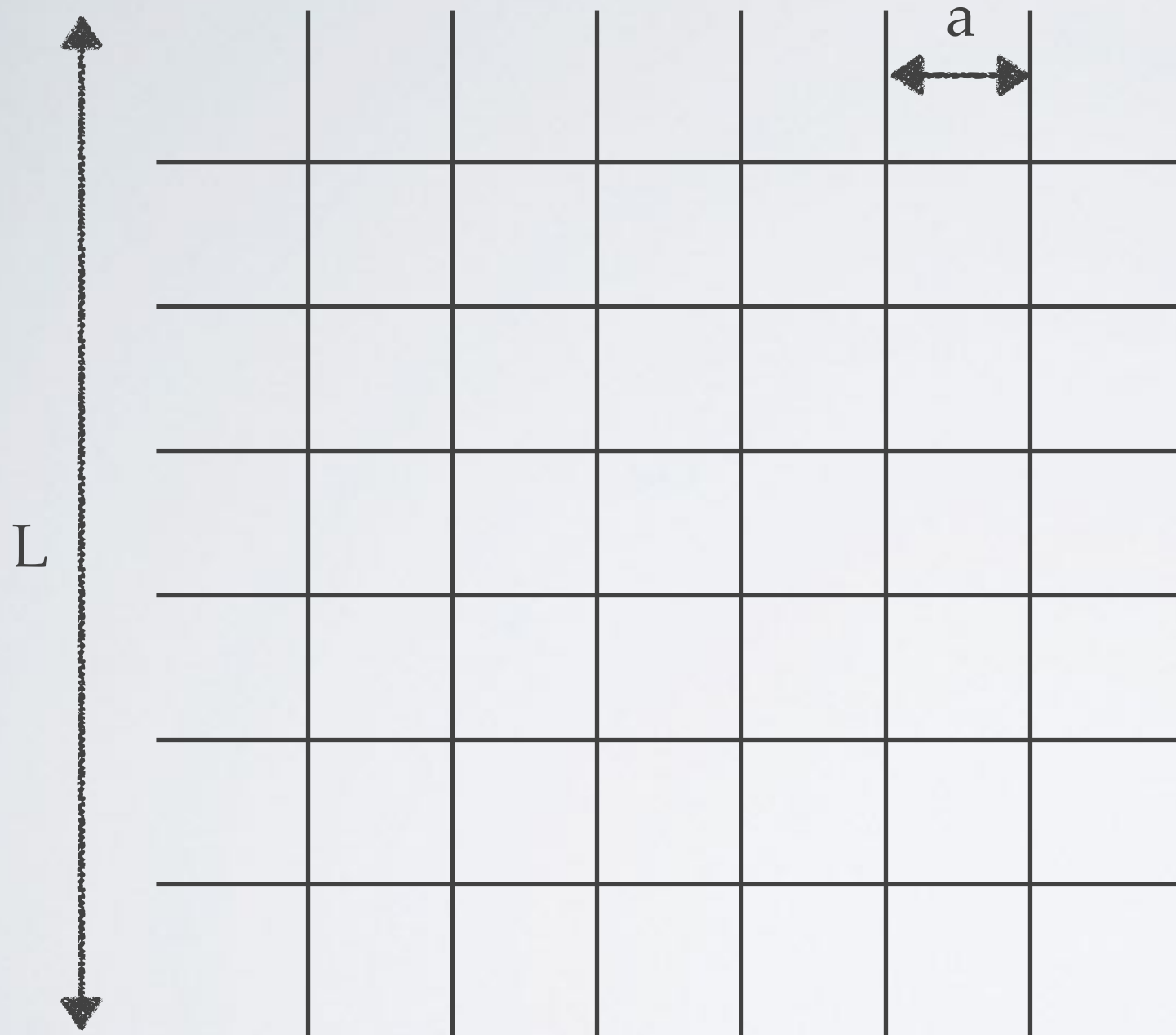
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Most of the theory work is done using EFTs and there are only a handful of UV complete models



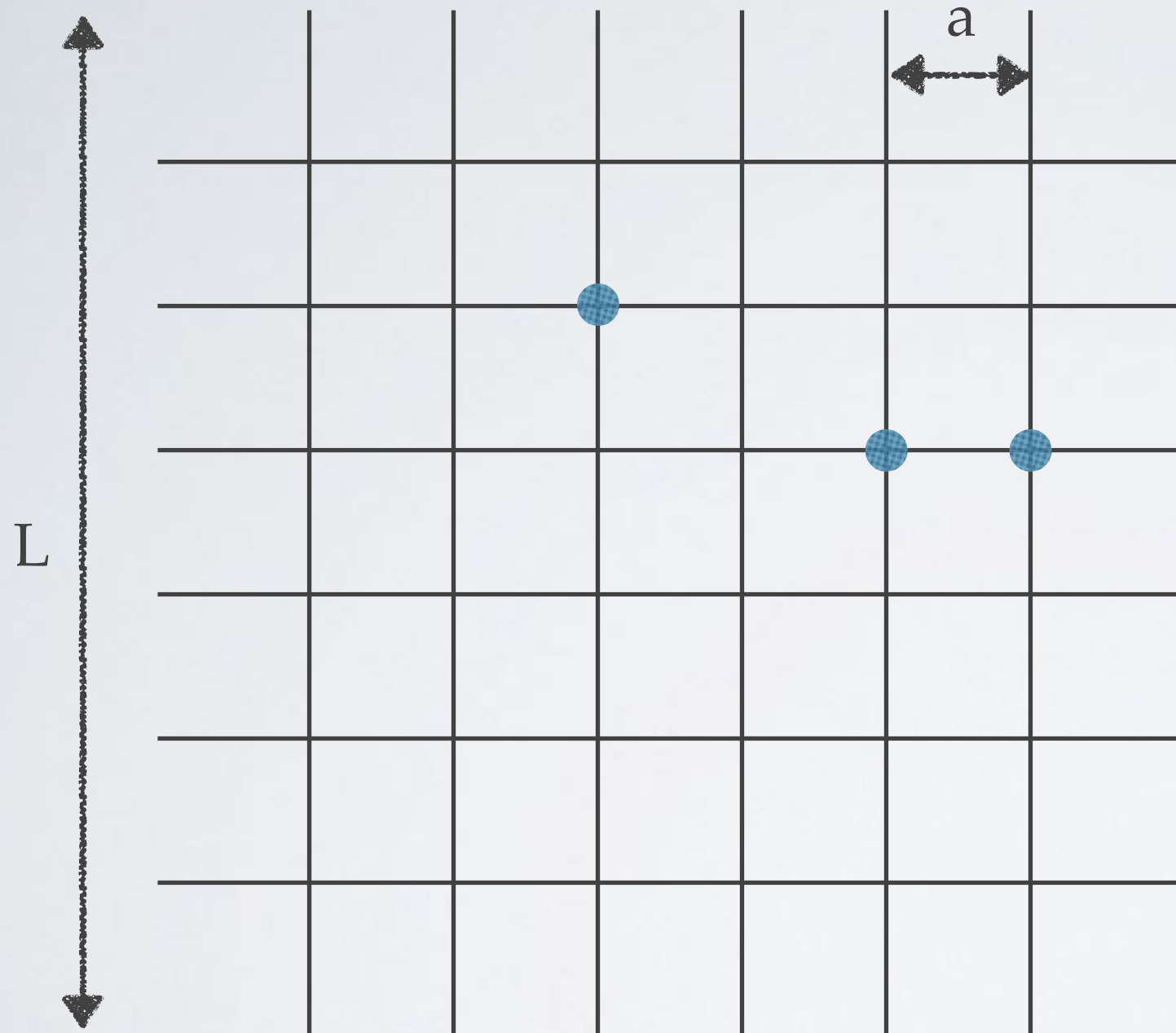


Lattice primer



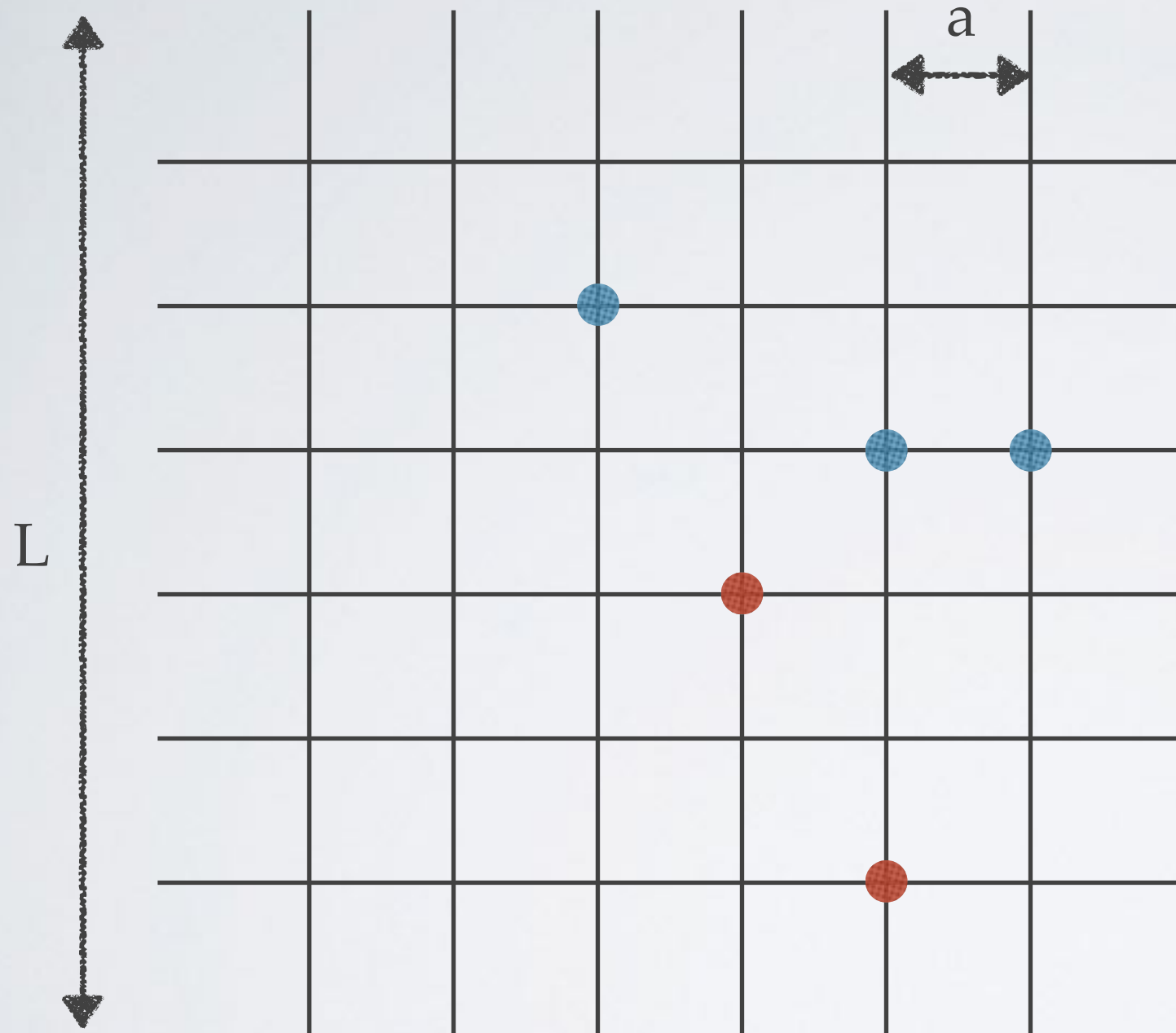
- Discretize space and time
 - lattice spacing “ a ”
 - lattice size “ L ”
- Keep all d.o.f. of the theory
 - not a model!
 - no simplifications
- Amenable to numerical methods
 - Monte Carlo sampling
 - use supercomputers
- Precisely quantifiable and improvable errors
 - Systematic
 - Statistical

Lattice primer



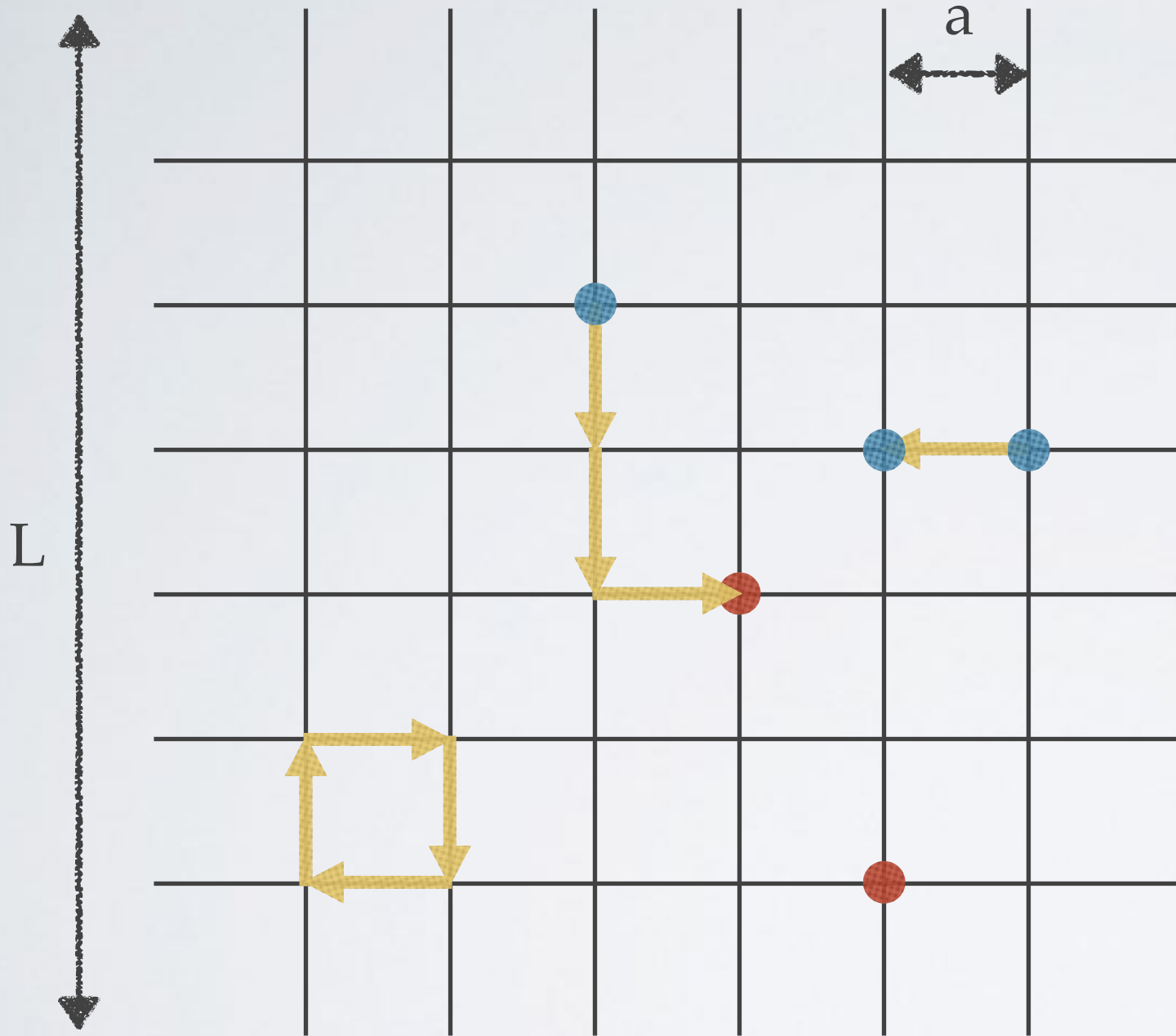
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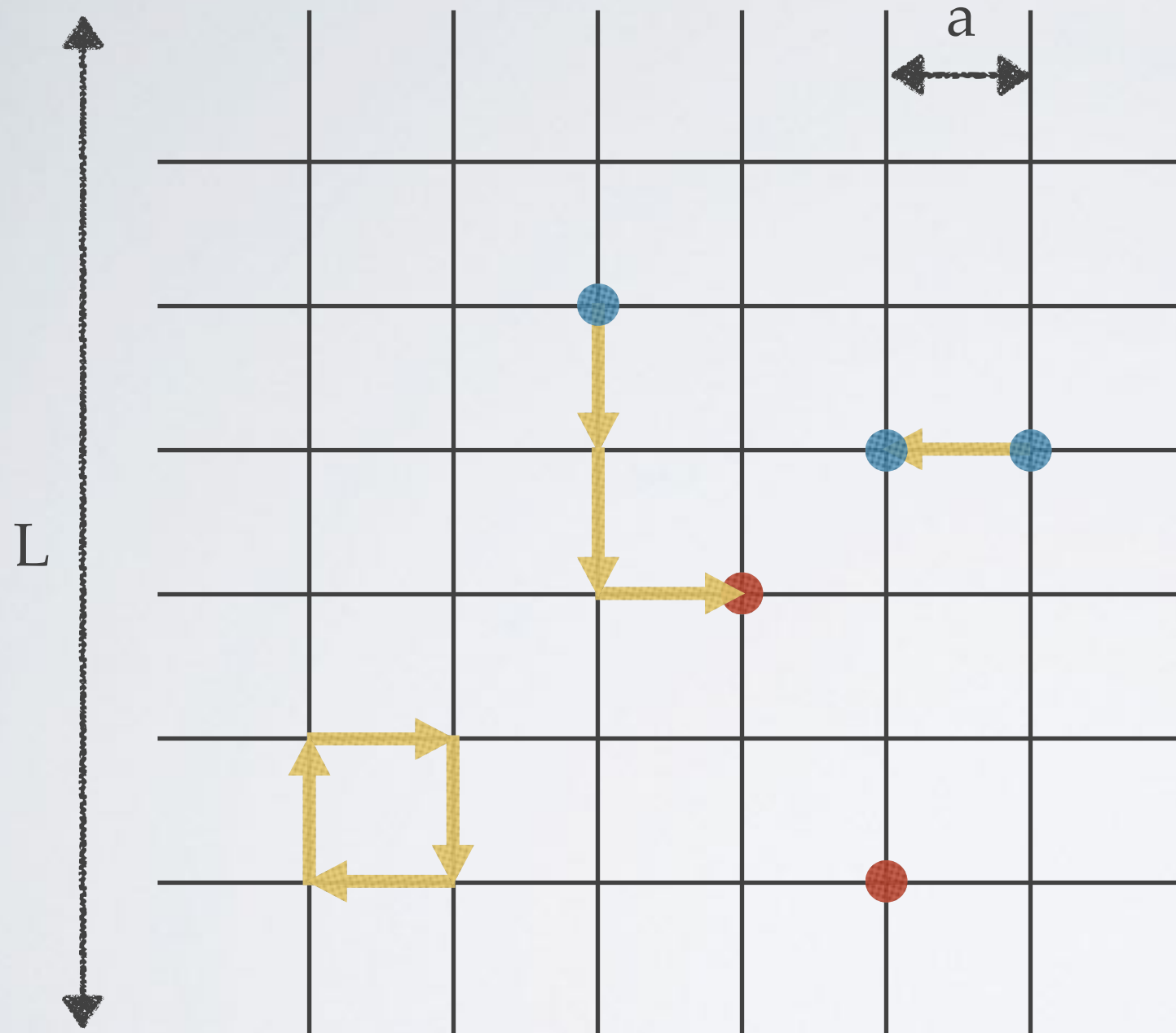
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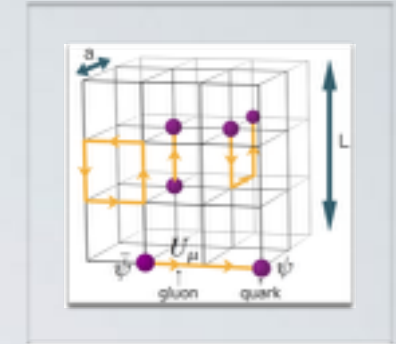
Lattice primer



N_c **N_f** **N_r** parameters that can be easily changed

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Importance of lattice simulations



- ★ Lattice simulations are needed to numerically solve strong dynamics
- ★ **Controllable** systematic errors and room for improvement
- ★ Naive dimensional analysis and EFT approaches can miss important non-perturbative contributions
- ★ **EFTs** inspired by QCD might not work when the dynamics is different
- ★ Lattice studies can reliably point out **similarities or differences** as the parameter space (N_c, N_f, N_r) is scanned

MOTIVATIONS

- Strongly interacting quantum field theory with different N_c , N_f , and N_r
 - is the dynamics different from QCD?
 - what is the hierarchy in the spectrum?
 - is there a light scalar singlet?
- Phenomenology of physics beyond the Standard Model
 - light Higgs from composite dynamics (pNGB or dilatonic nature)
 - large anomalous dimensions
 - expected (near-)conformal dynamics for consistency with experiments

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in QCD there is a broad resonance $f_0(500)$

LATTICE RESULTS

- This talk: SU(3) gauge theory with 8 degenerate fundamental fermions
 - focus on hierarchy of masses towards the chiral limit
 - focus on flavor-singlet states
 - scalar 0^{++} (also called “the sigma”)
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in collaboration with



Lattice **S**trong **D**ynamics collaboration

Argonne: Jin, Osborn

Bern: Schaich

Boston: Brower, Rebbi, Weinberg

Colorado: Hasenfratz, Neil

Edinburgh: Witzel

LLNL: Vranas

UC Davis: Kiskis

Yale: Appelquist, Fleming,
Gasbarro



Lat**KMI** collaboration

KEK: Aoki, Kurachi, Shibata

Kyoto: Aoyama

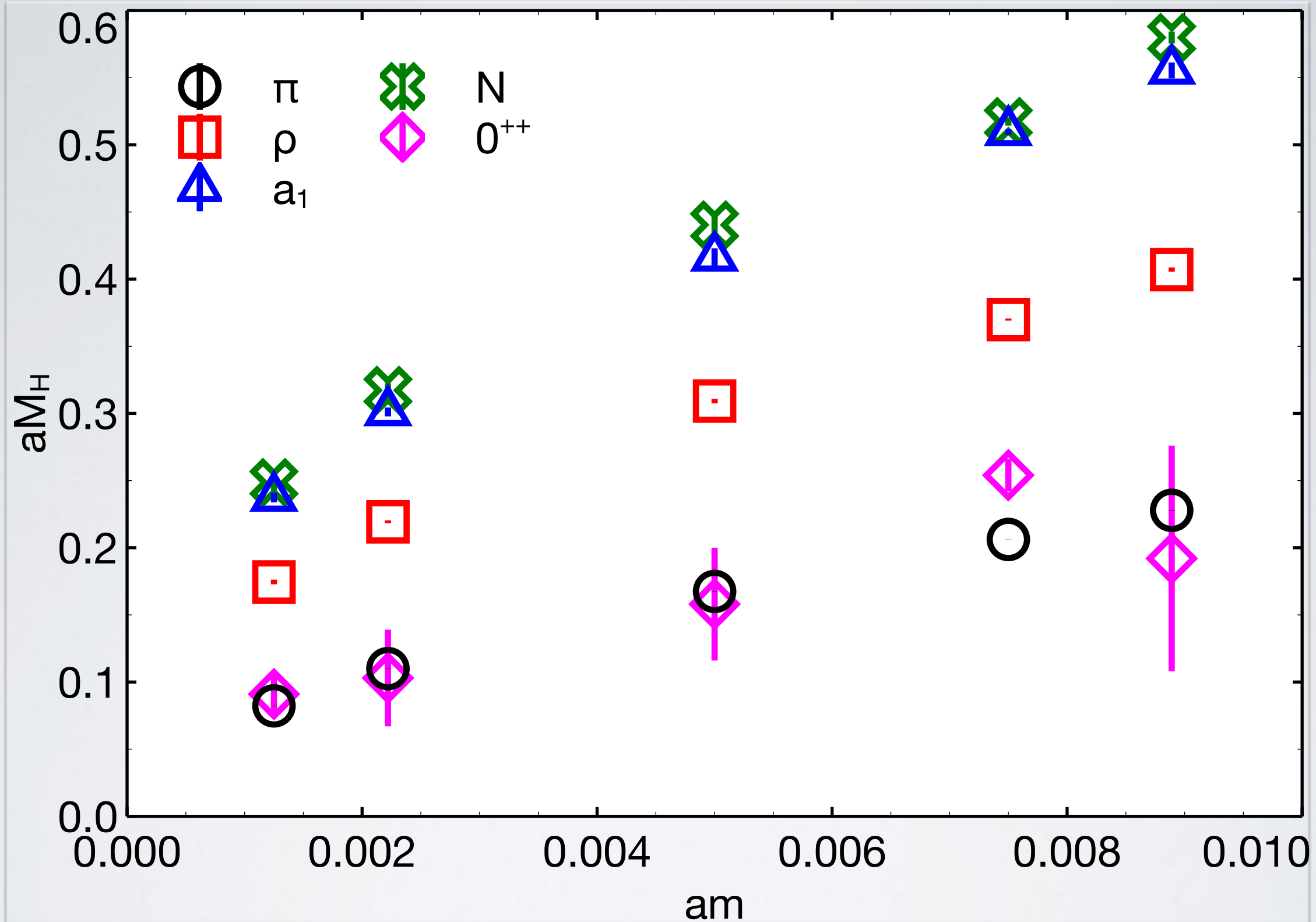
Nagoya: Maskawa, Yamawaki,
Nagai

Nara: Ohki

Marseille: Miura

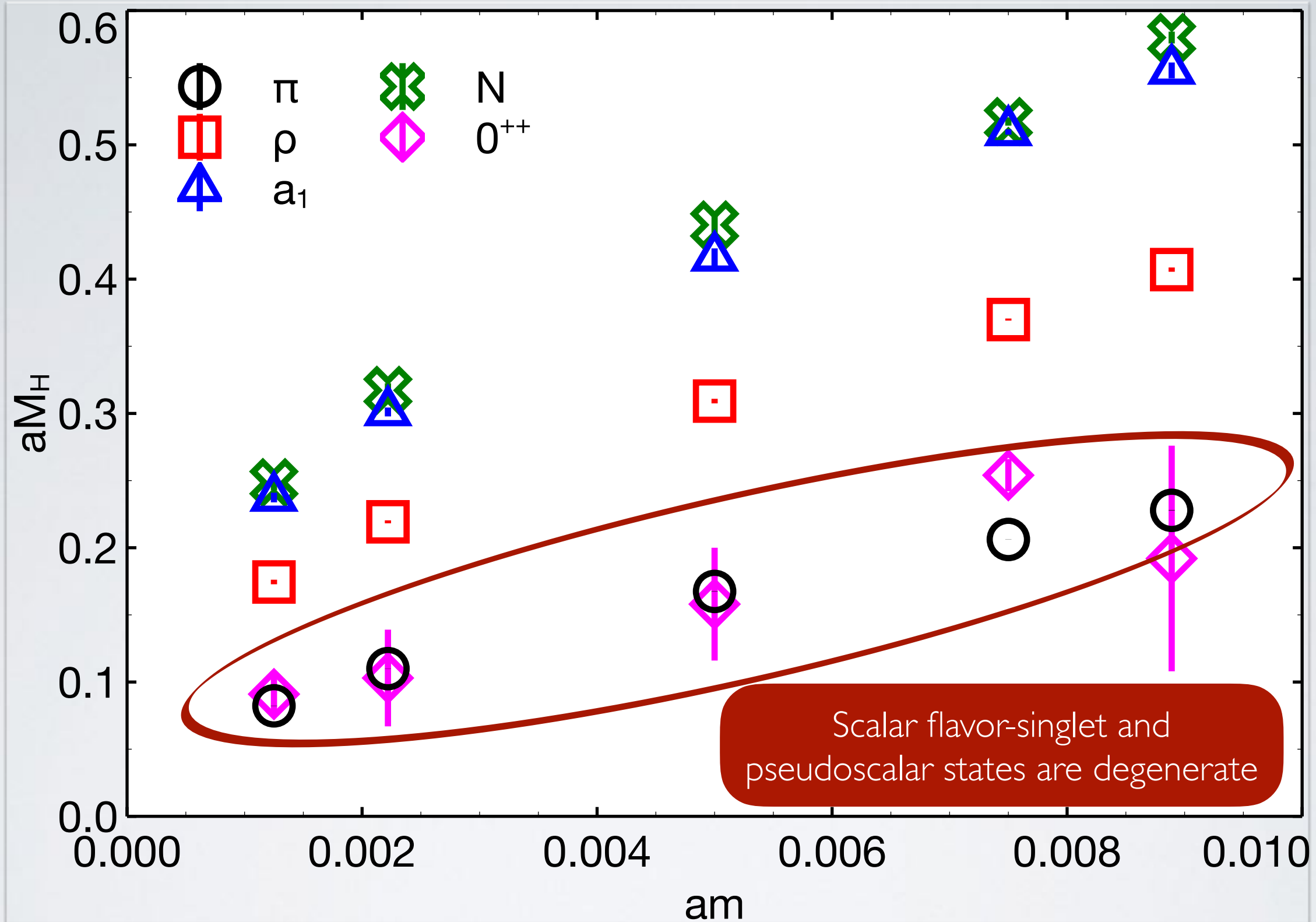
Swansea: Bennett

Tsukuba: Yamazaki



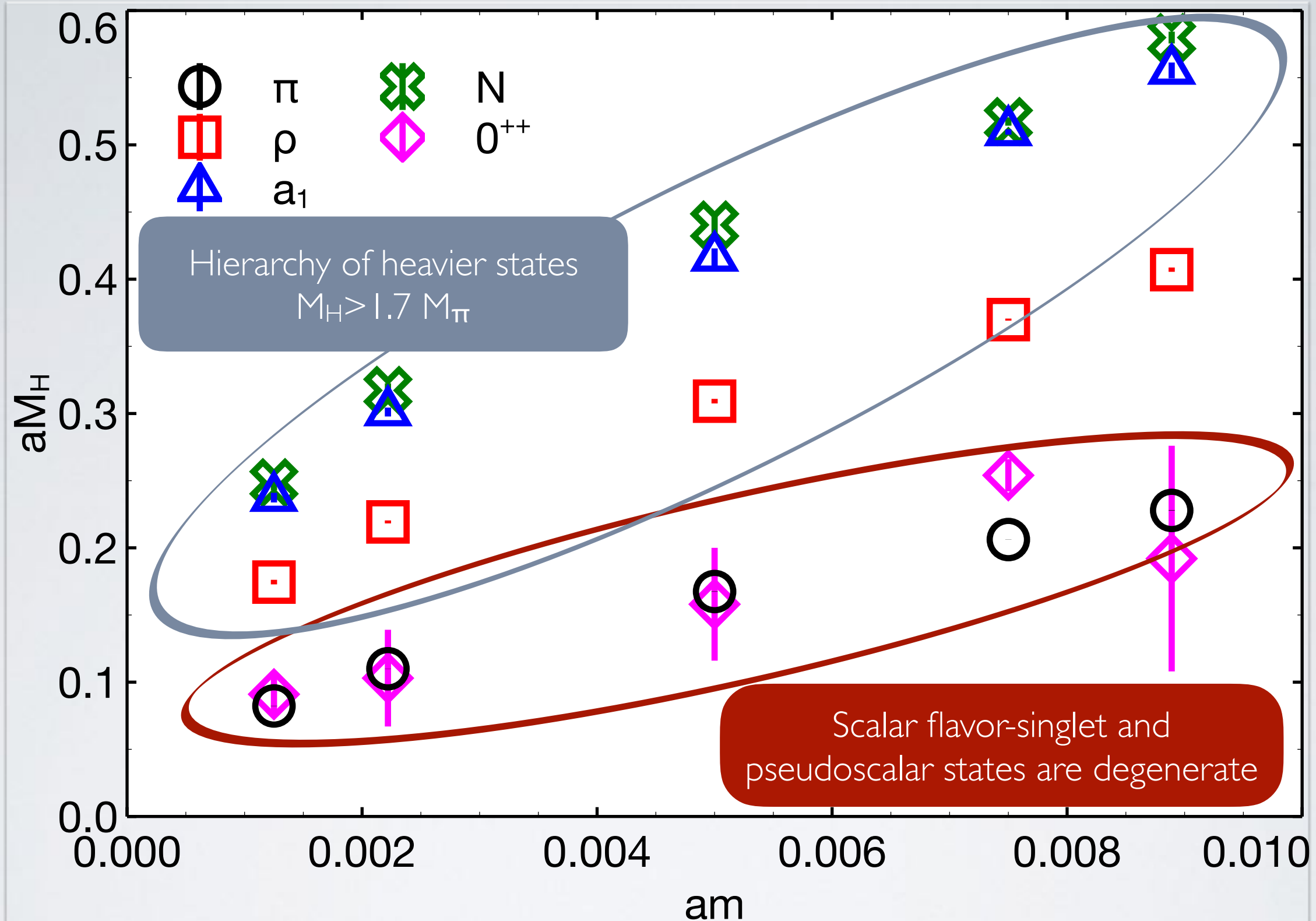
Lattice details: F+A Wilson plaquette action + nHYP smeared naive staggered quarks

LSD arxiv:1601.04027 [scalar update, preliminary]



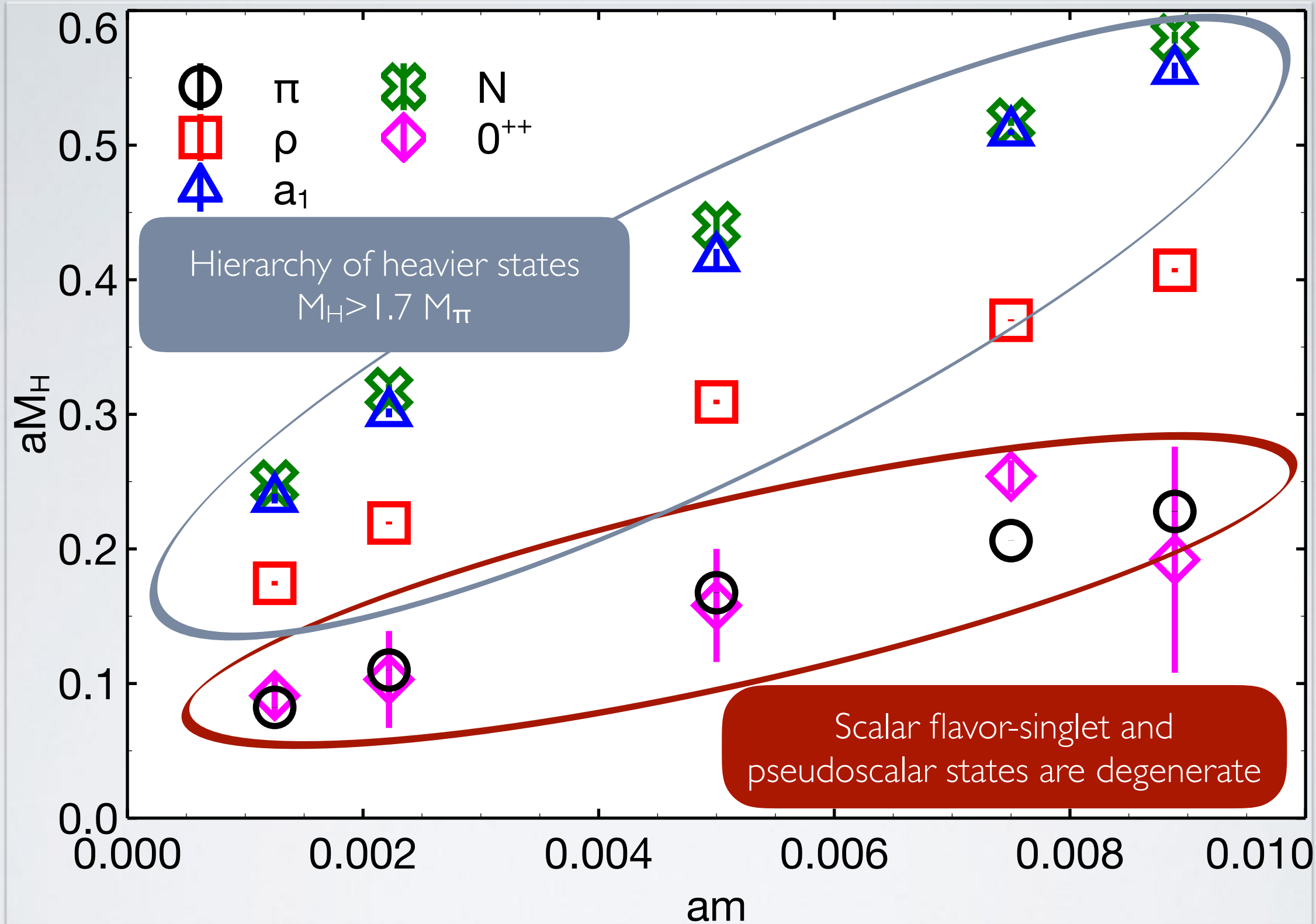
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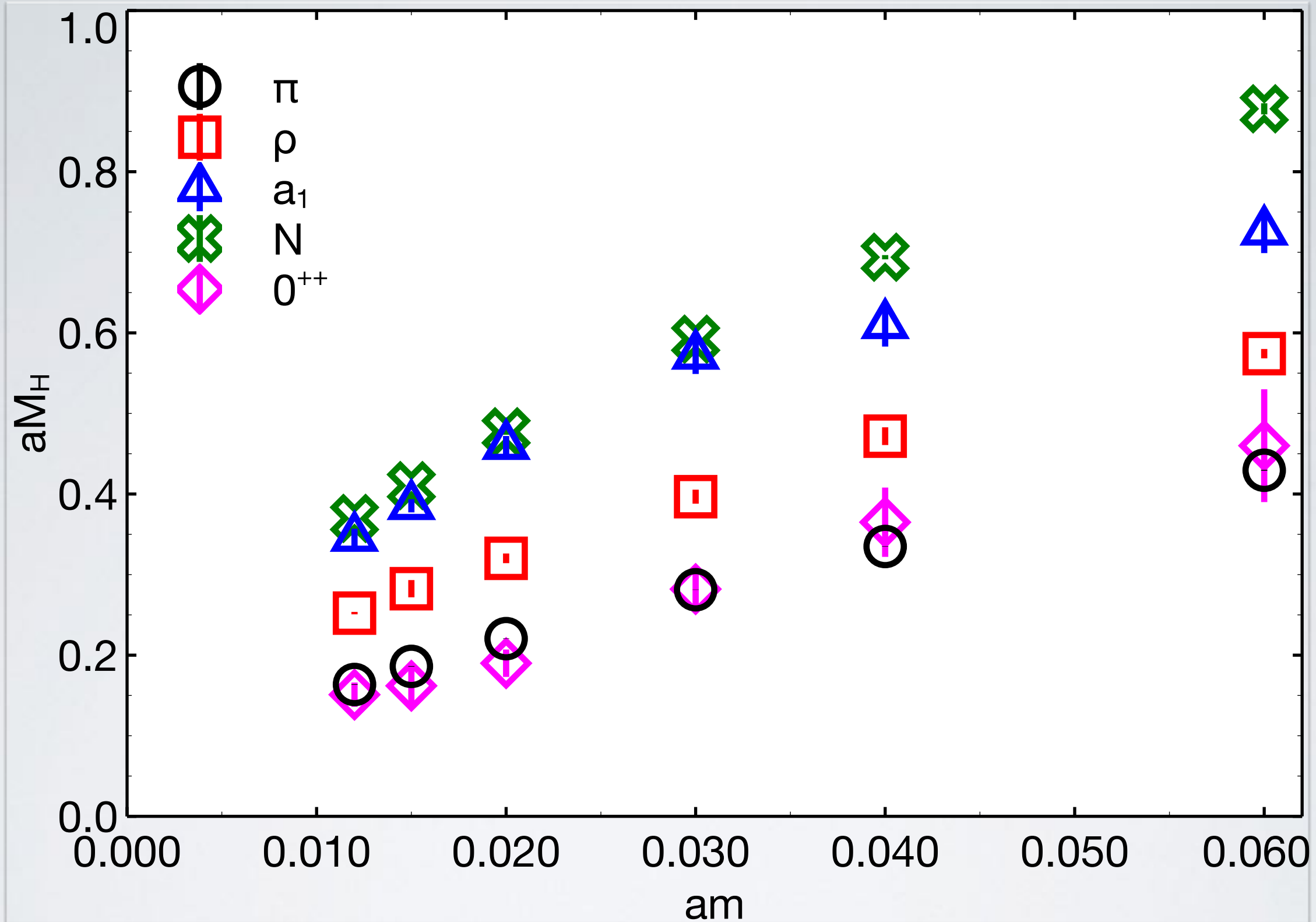
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Different
from
QCD

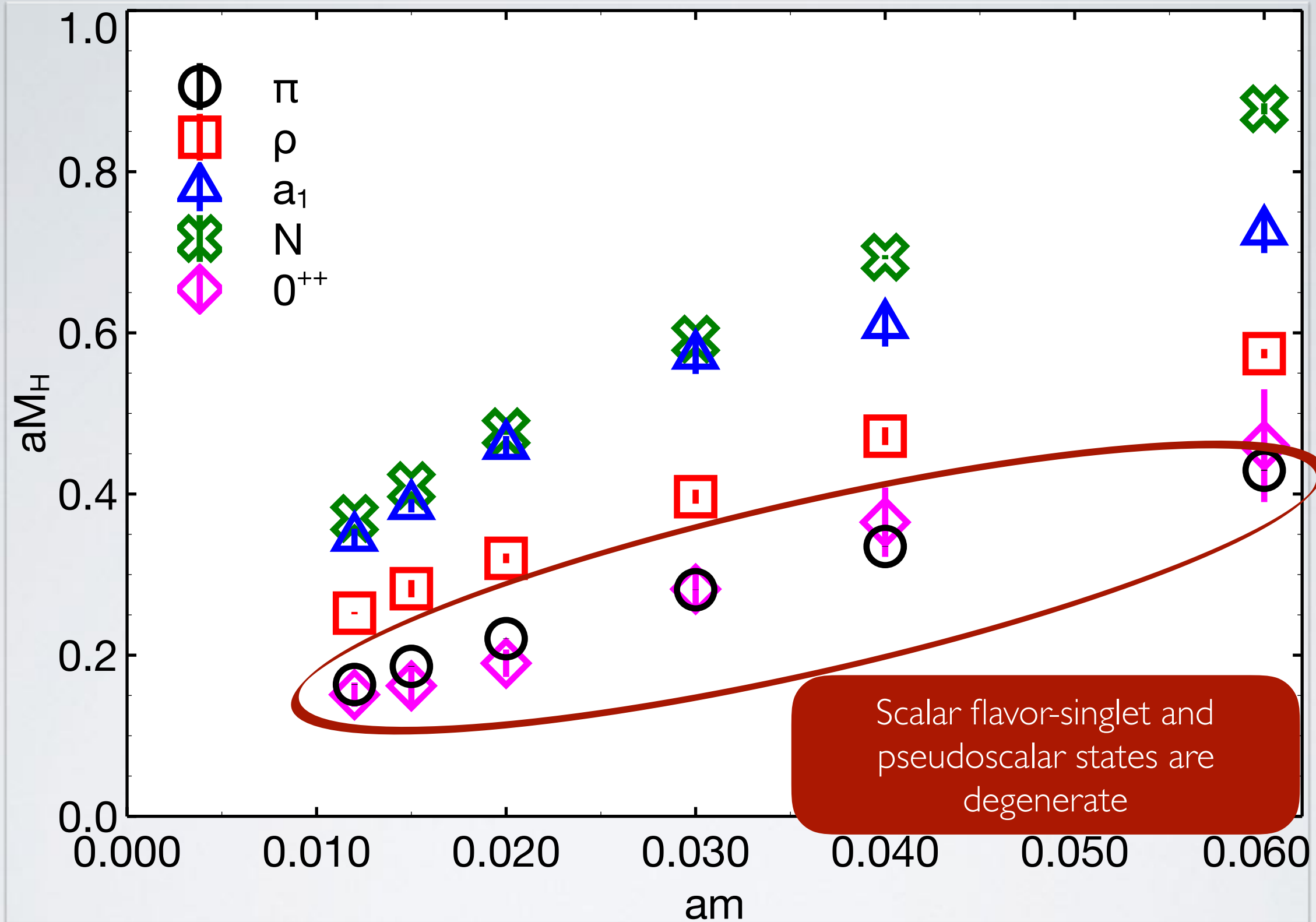
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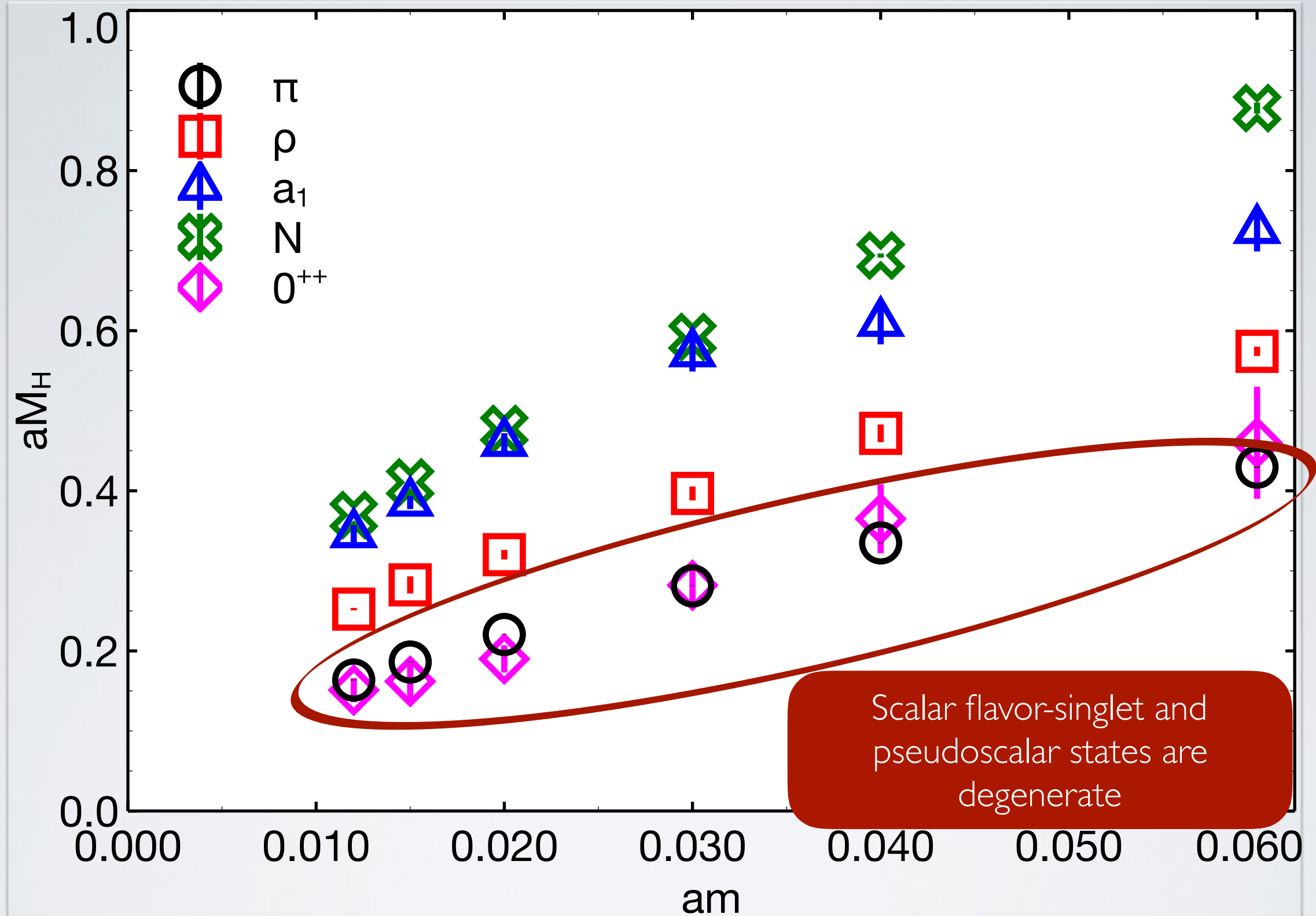
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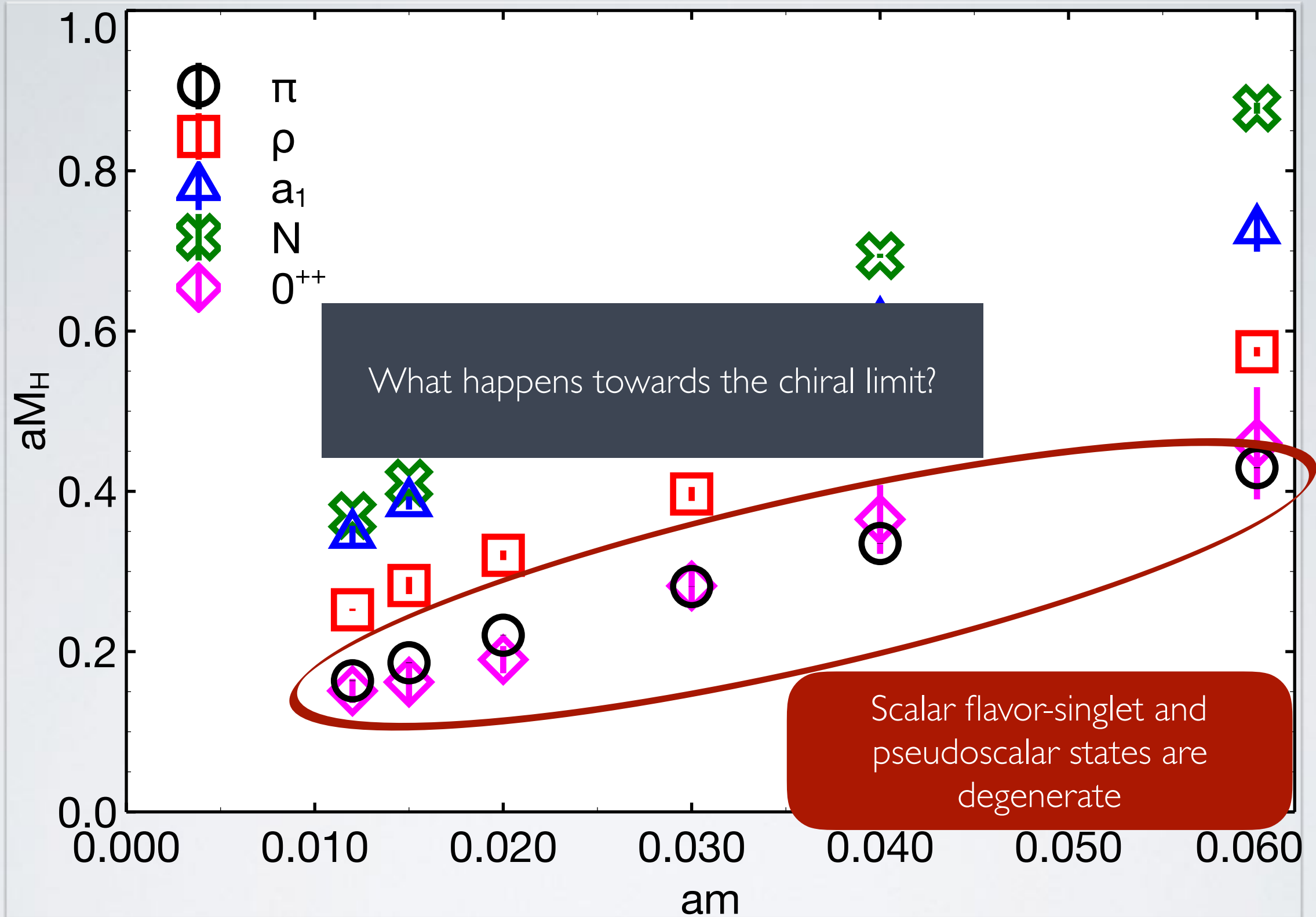
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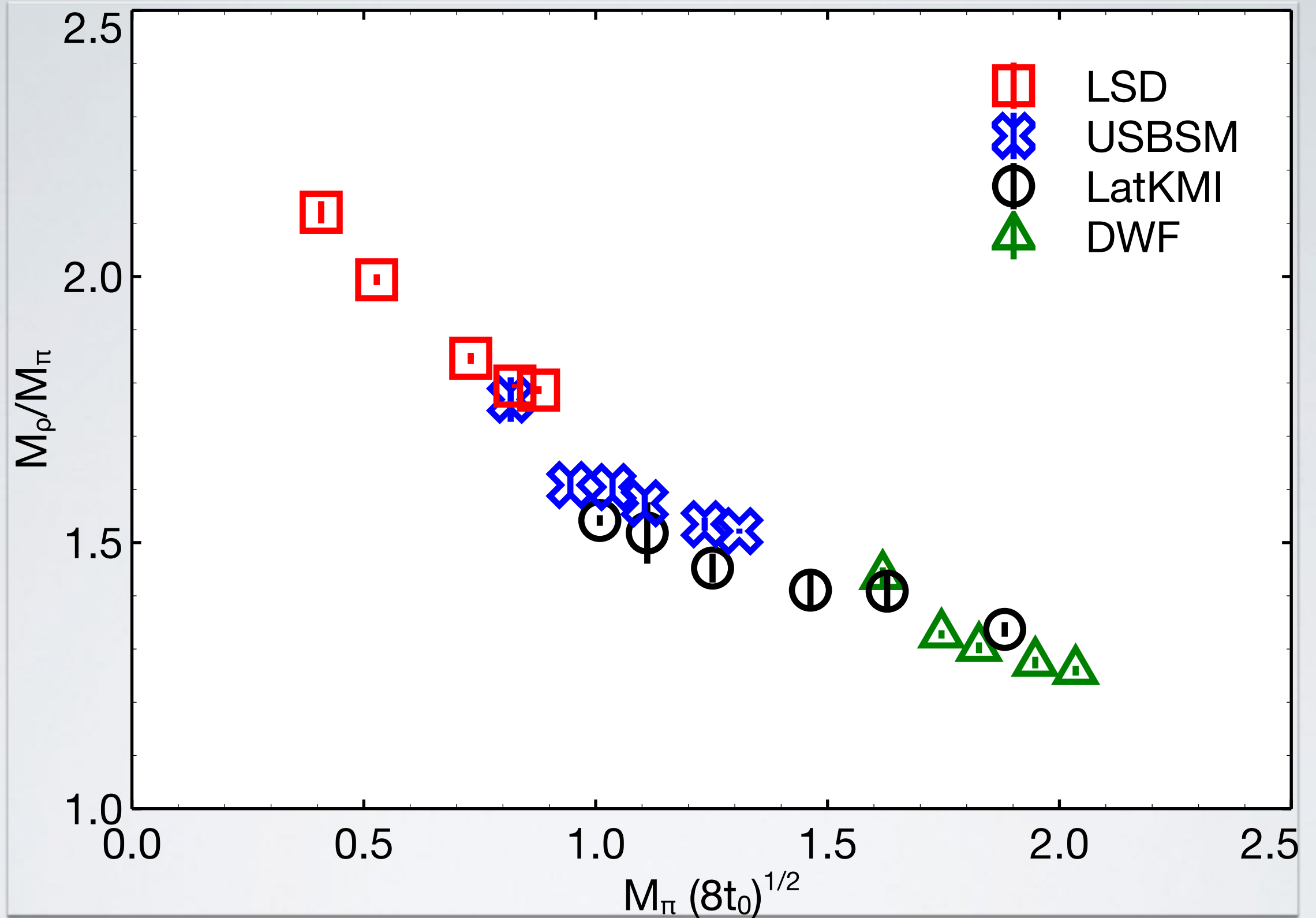
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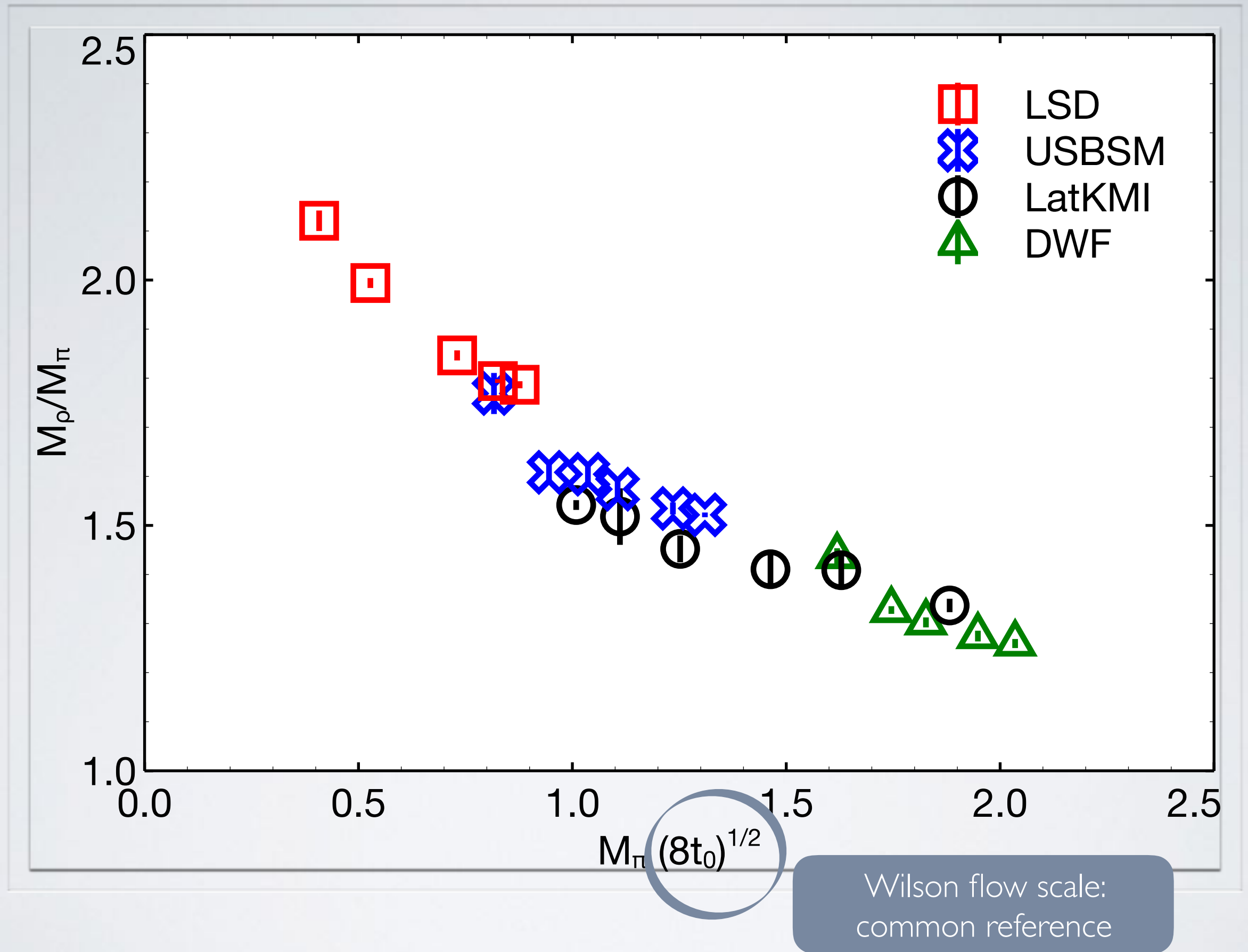


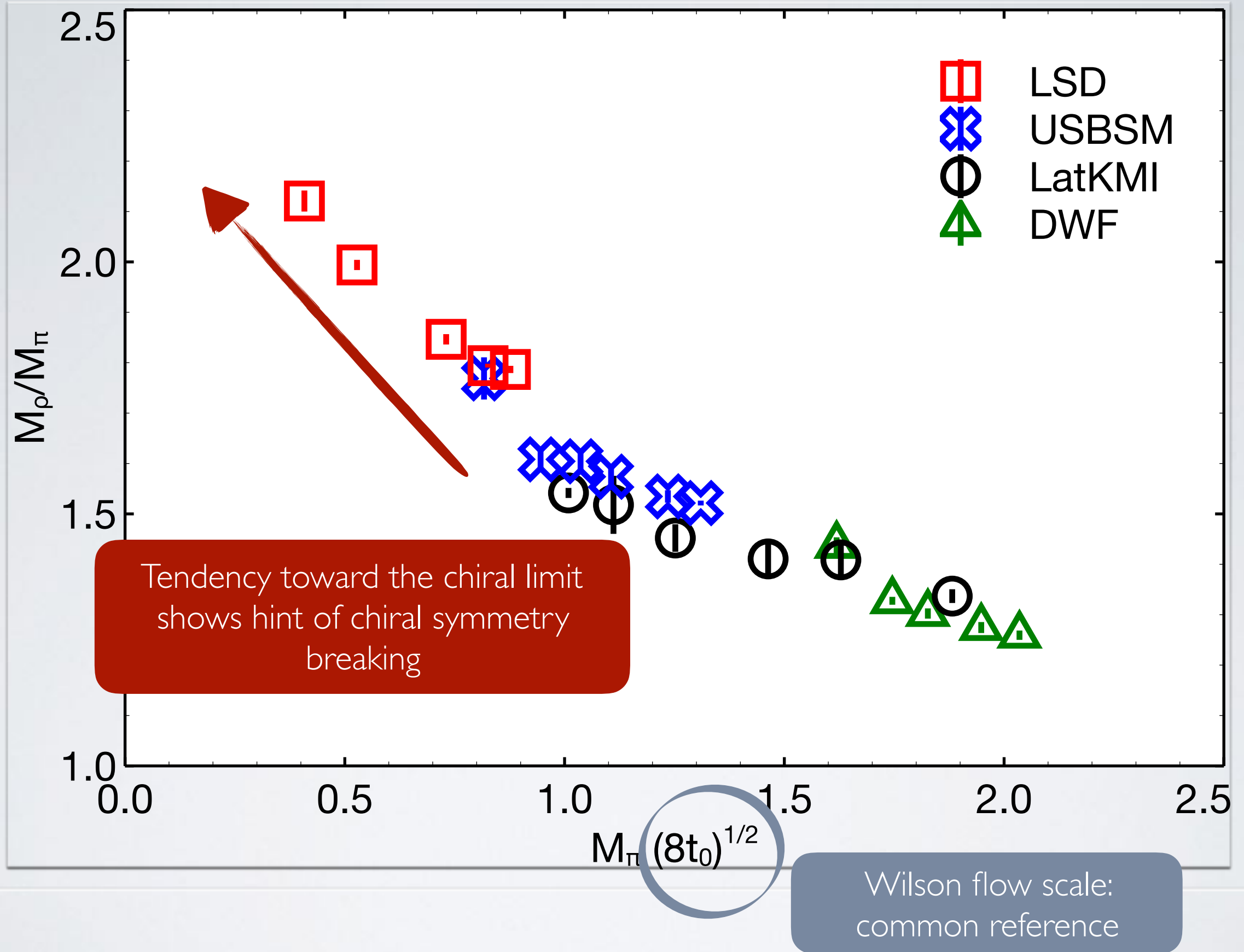
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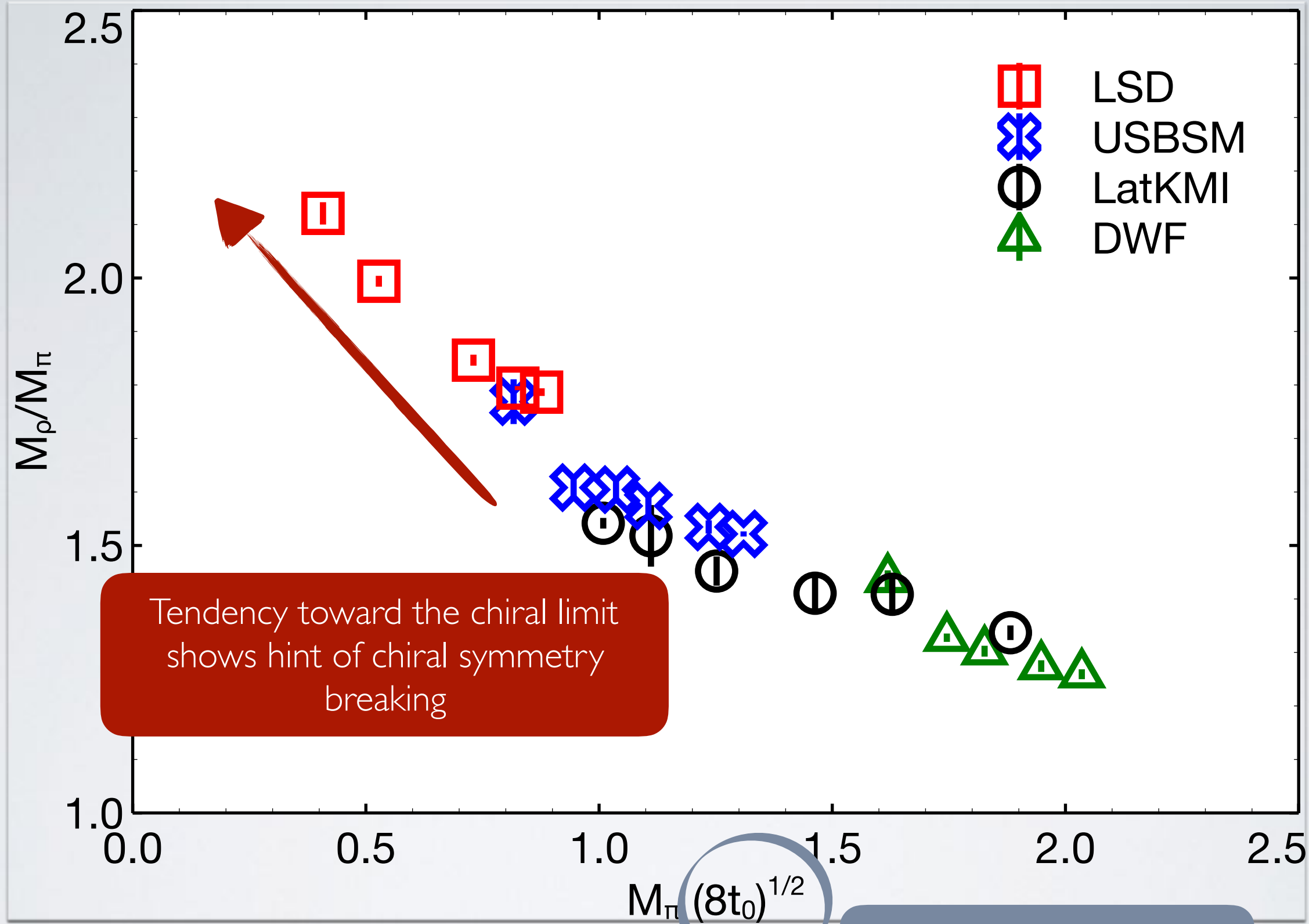
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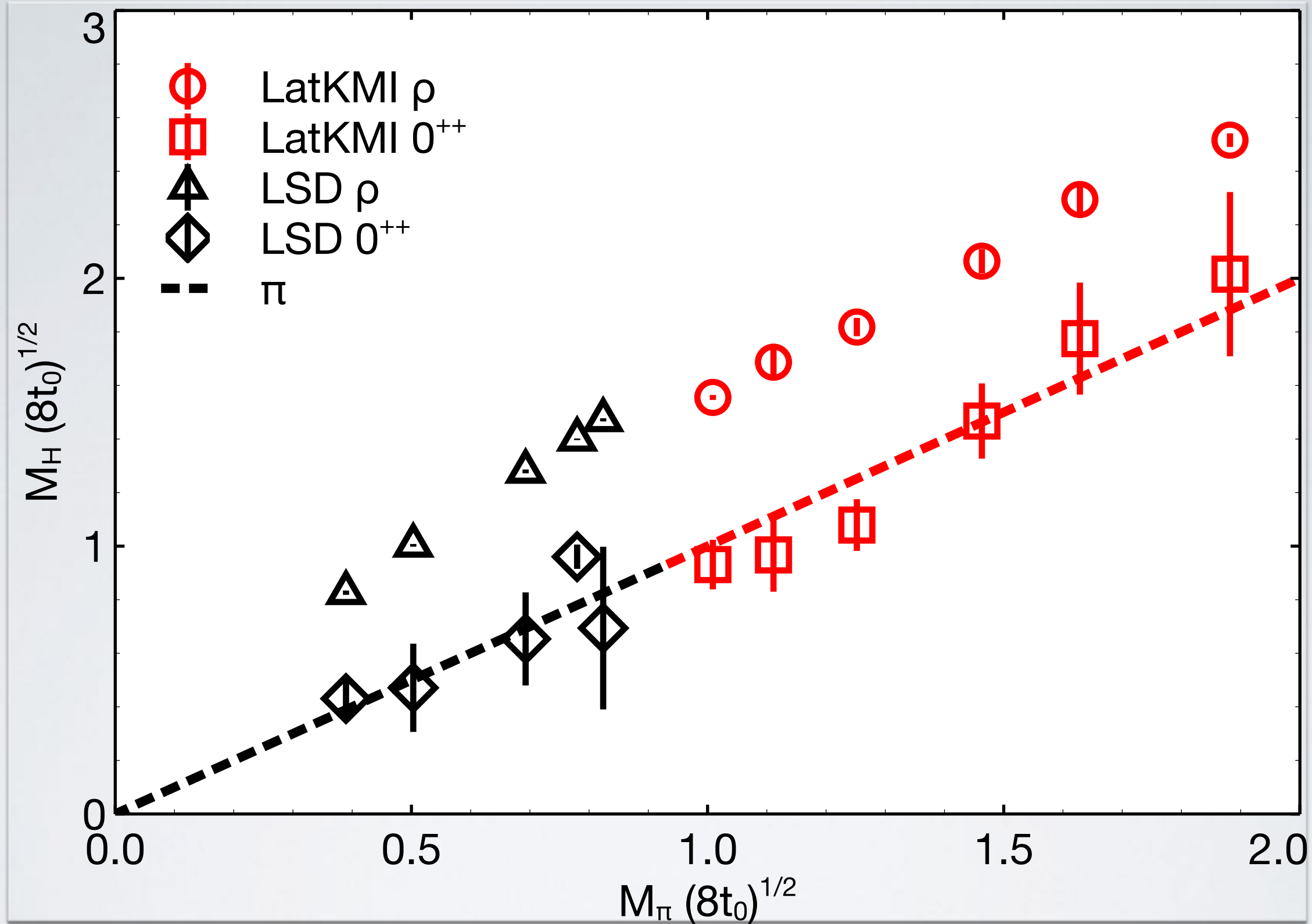


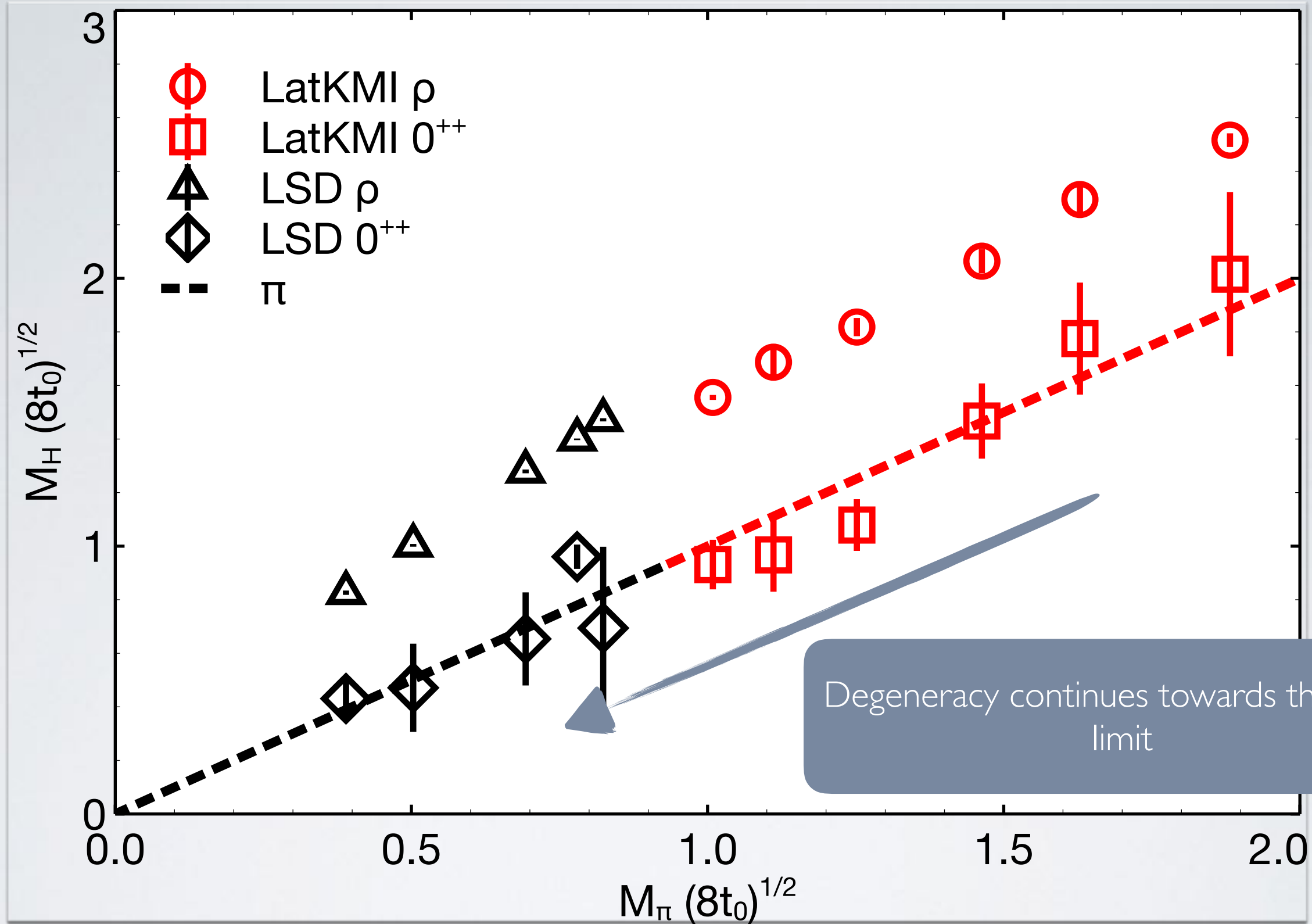


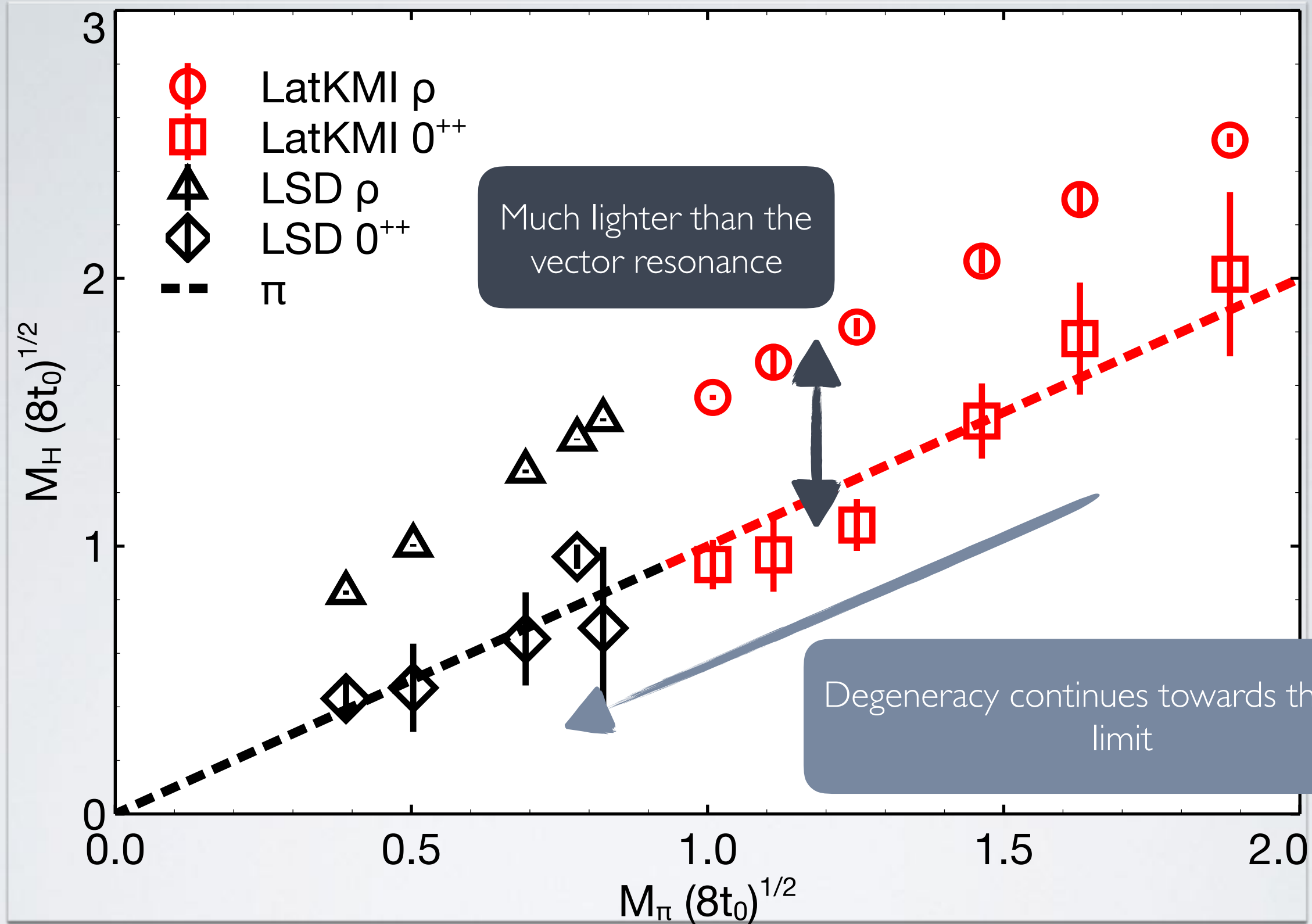


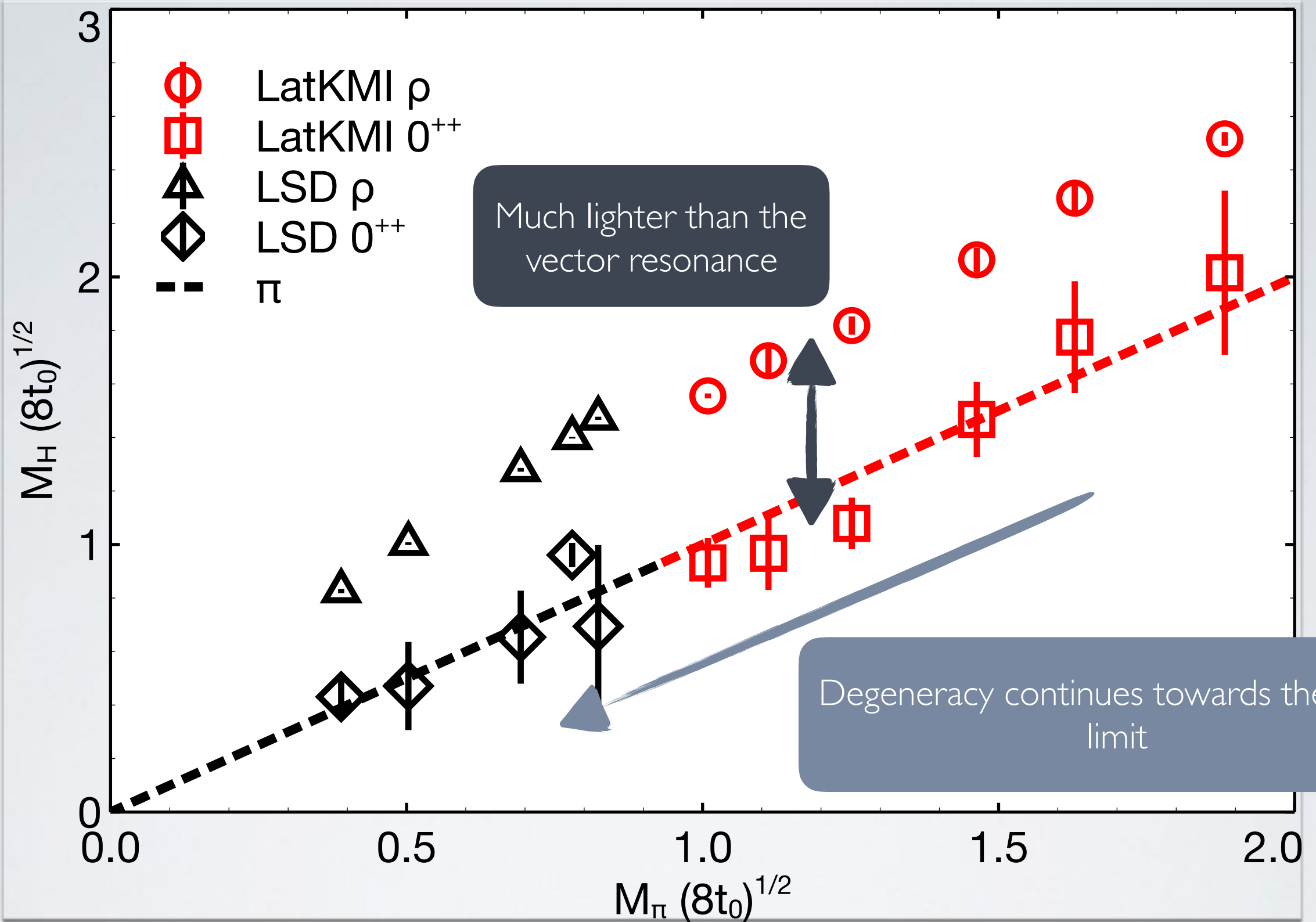
Similar to
QCD

LSD arxiv:1601.04027 | USBSM arxiv:1310.7006 | LatKMI arxiv:1610.07011 | DWF (LSD) arxiv:1405.4752

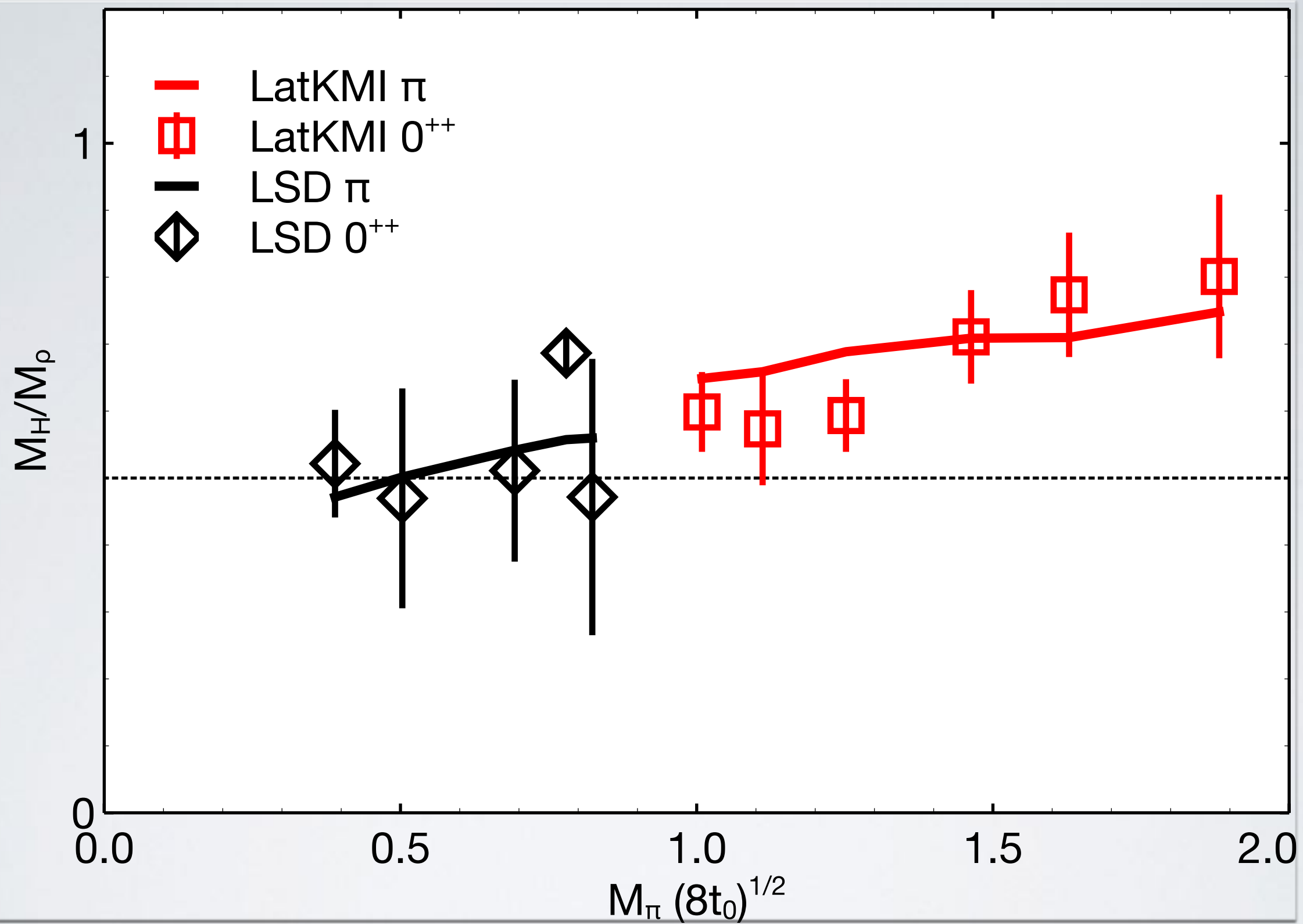


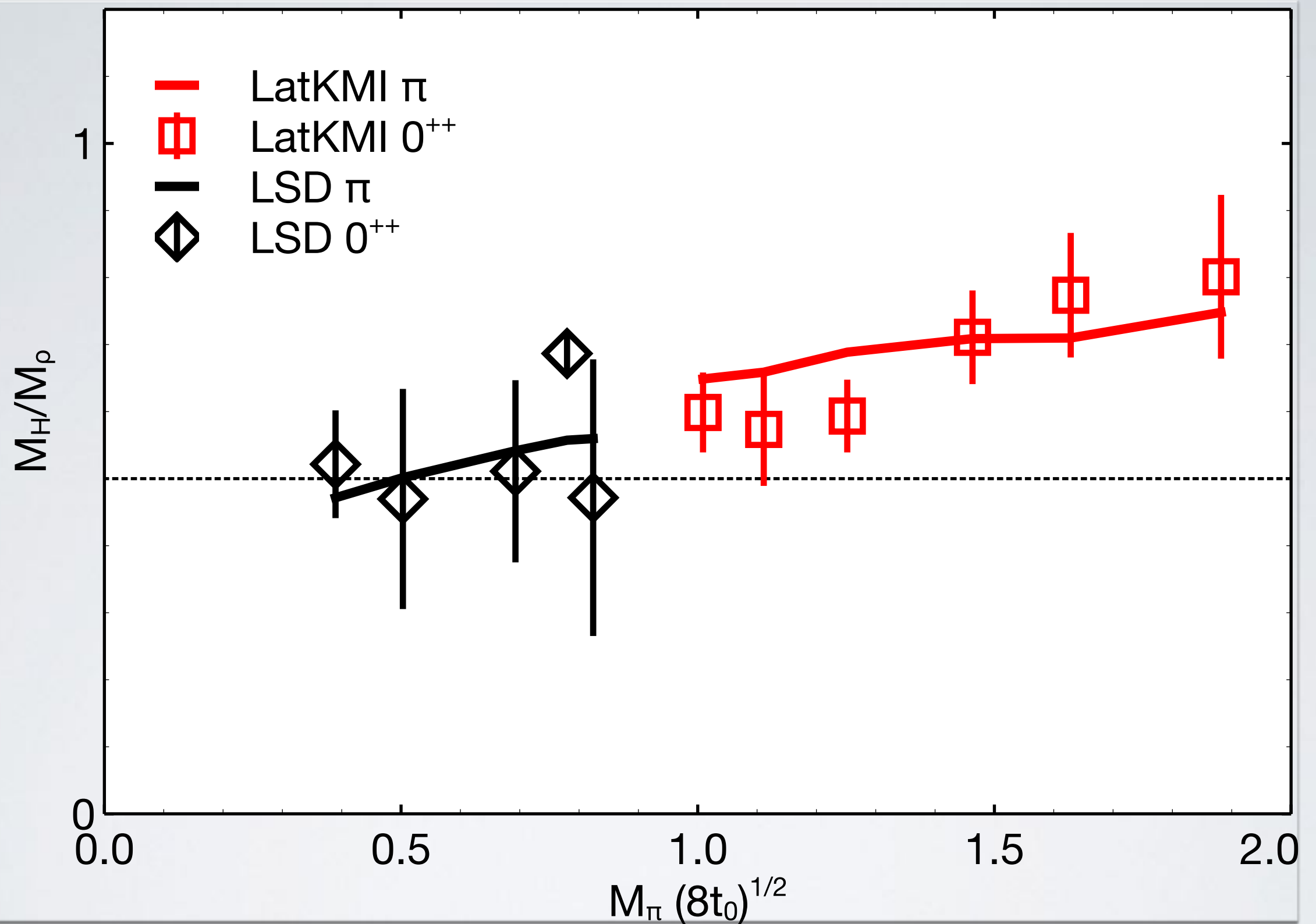




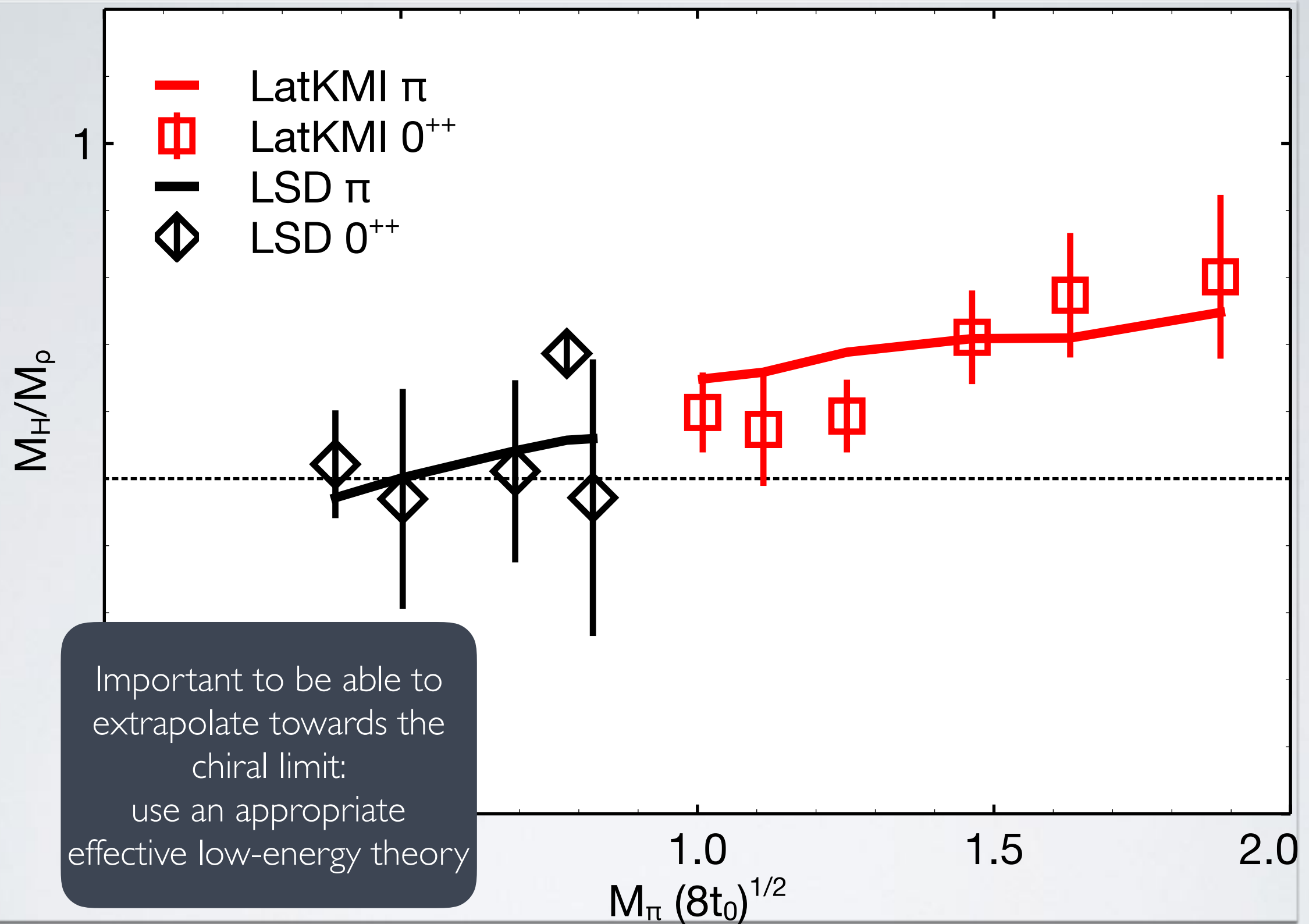


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EFFECTIVE FIELD THEORY

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 - Different forms of the Effective potential for the scalar and pseudoscalar can be directly tested against Lattice data [Appelquist,Ingoldby&Piai:1702.04410]

SUMMARY RESULTS

SU(3)
N_f=2 (S)

Template Models

Scalar

SU(2) N_f=2 (F)



SU(2) N_f=2 (A)



SU(2) N_f=1 (A)



SU(3) N_f=12 (F)



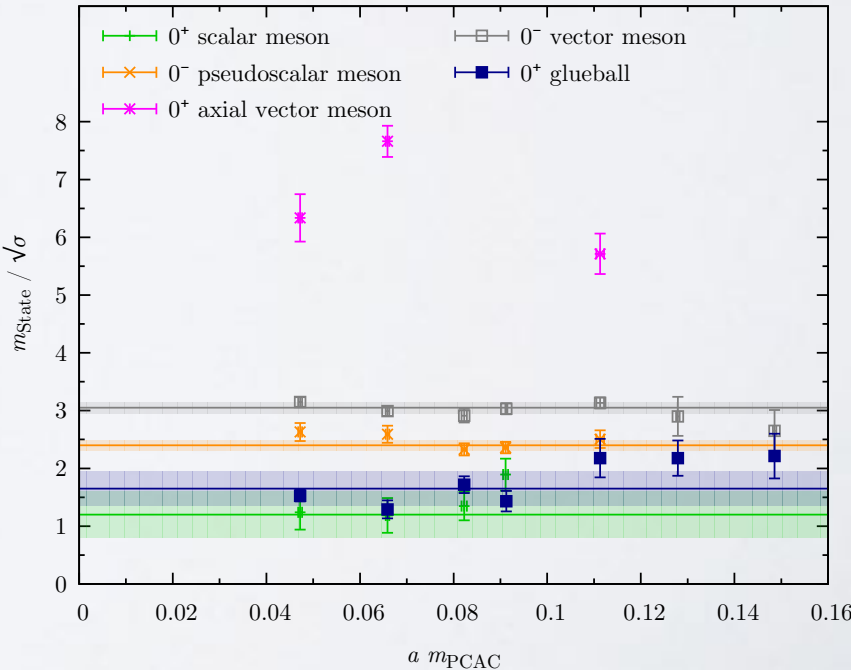
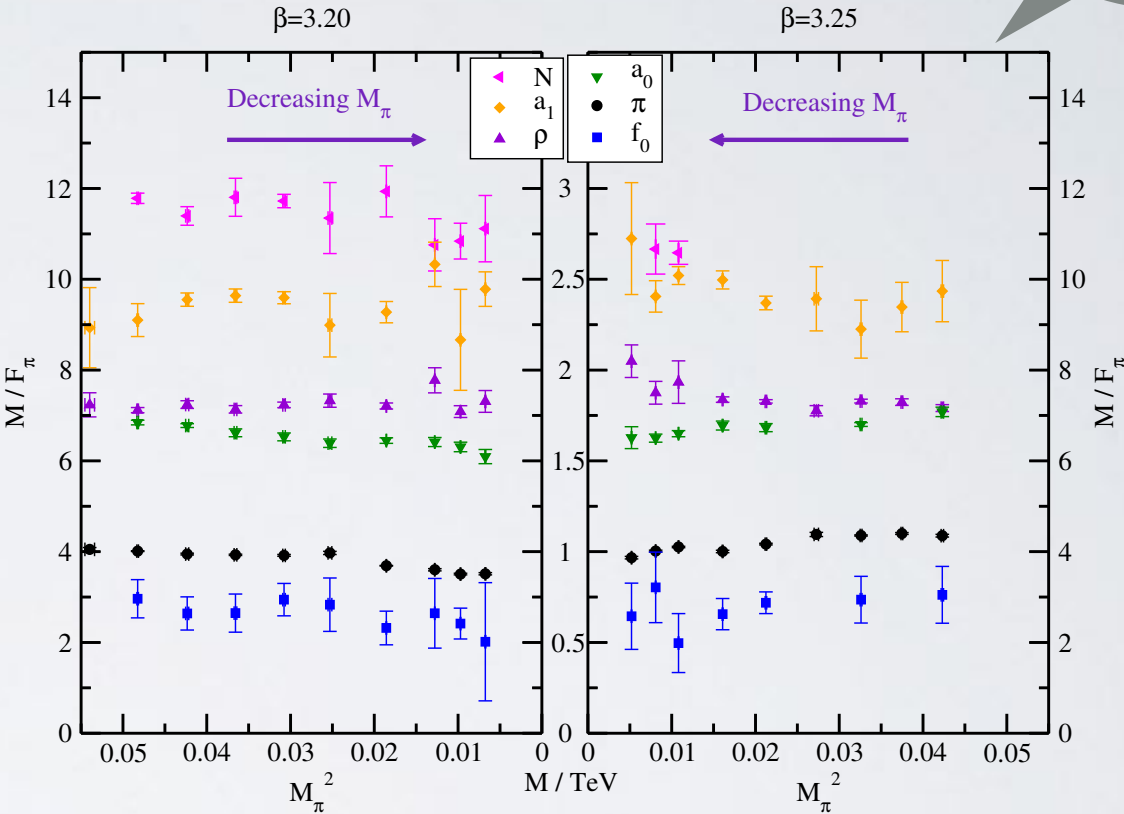
SU(3) N_f=8 (F)



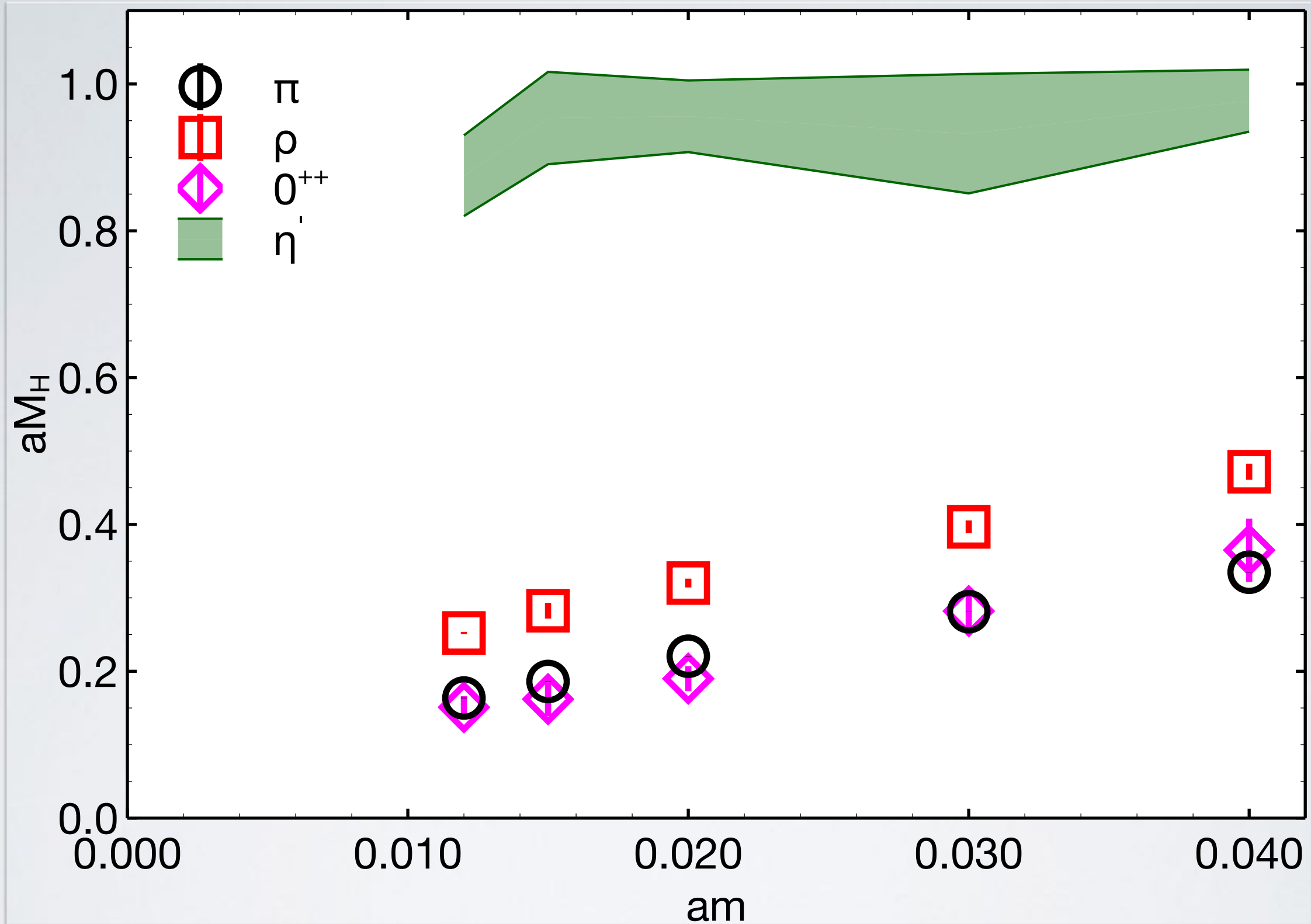
SU(3) N_f=4 (F)

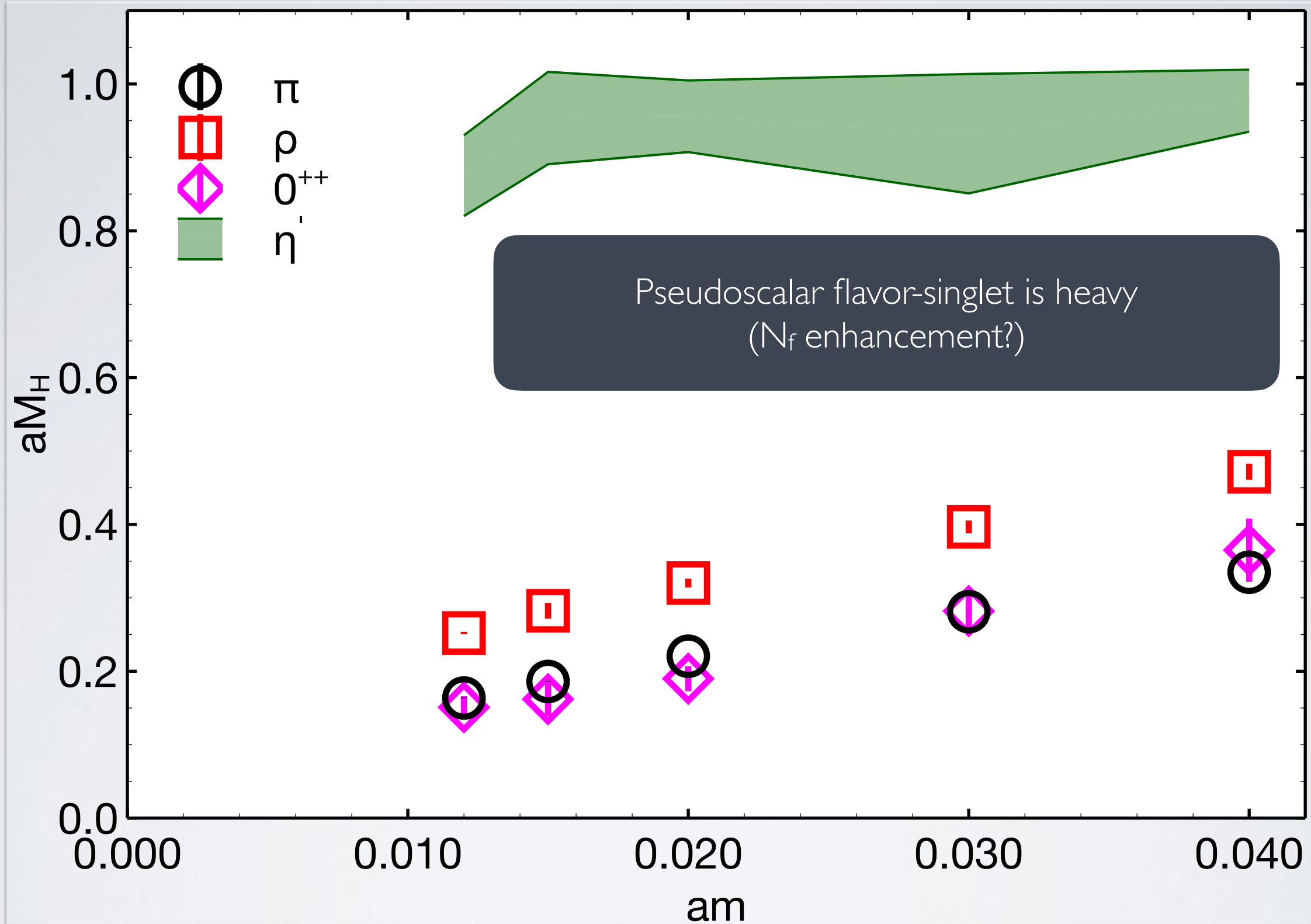


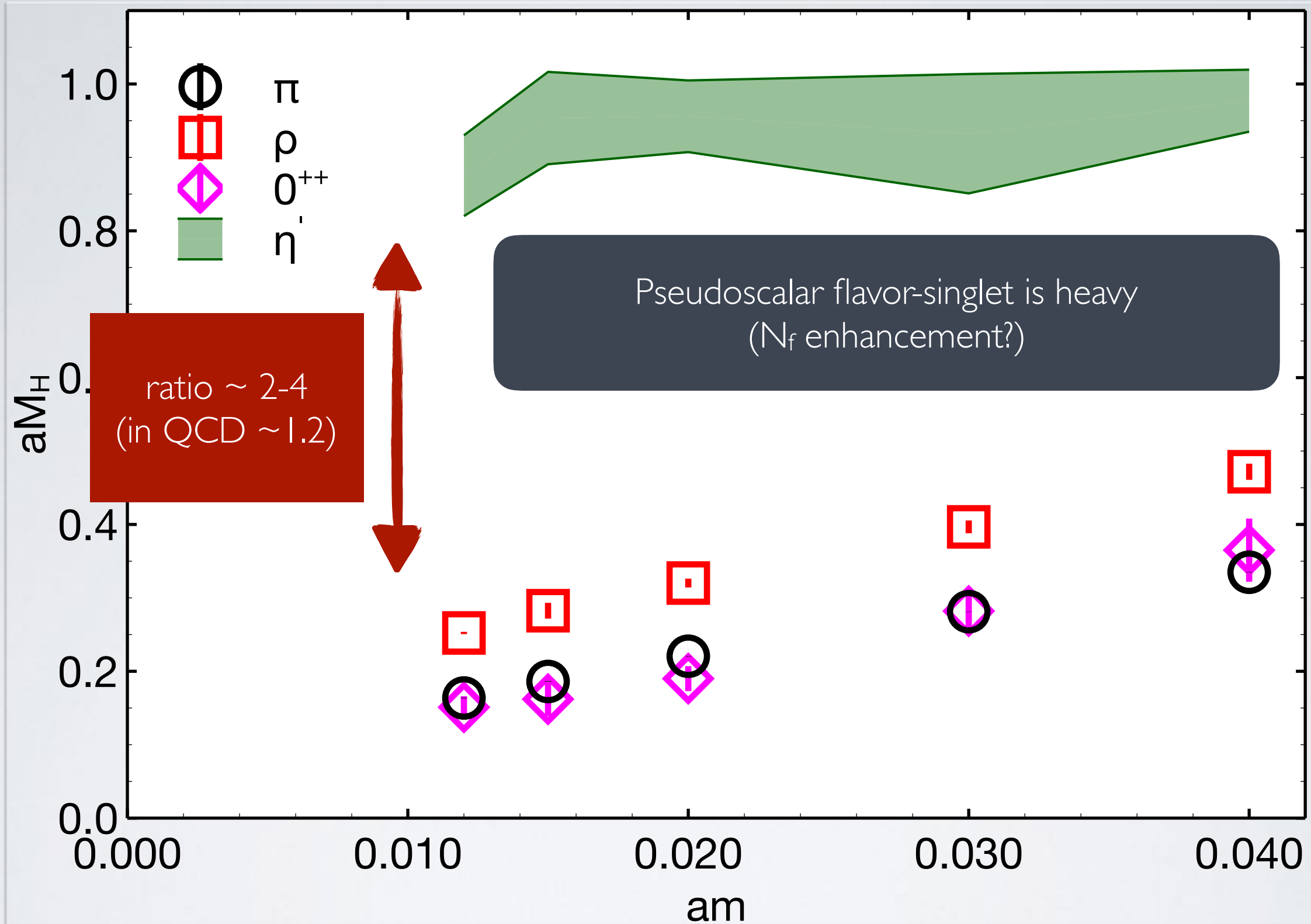
SU(3) N_f=2 (S)

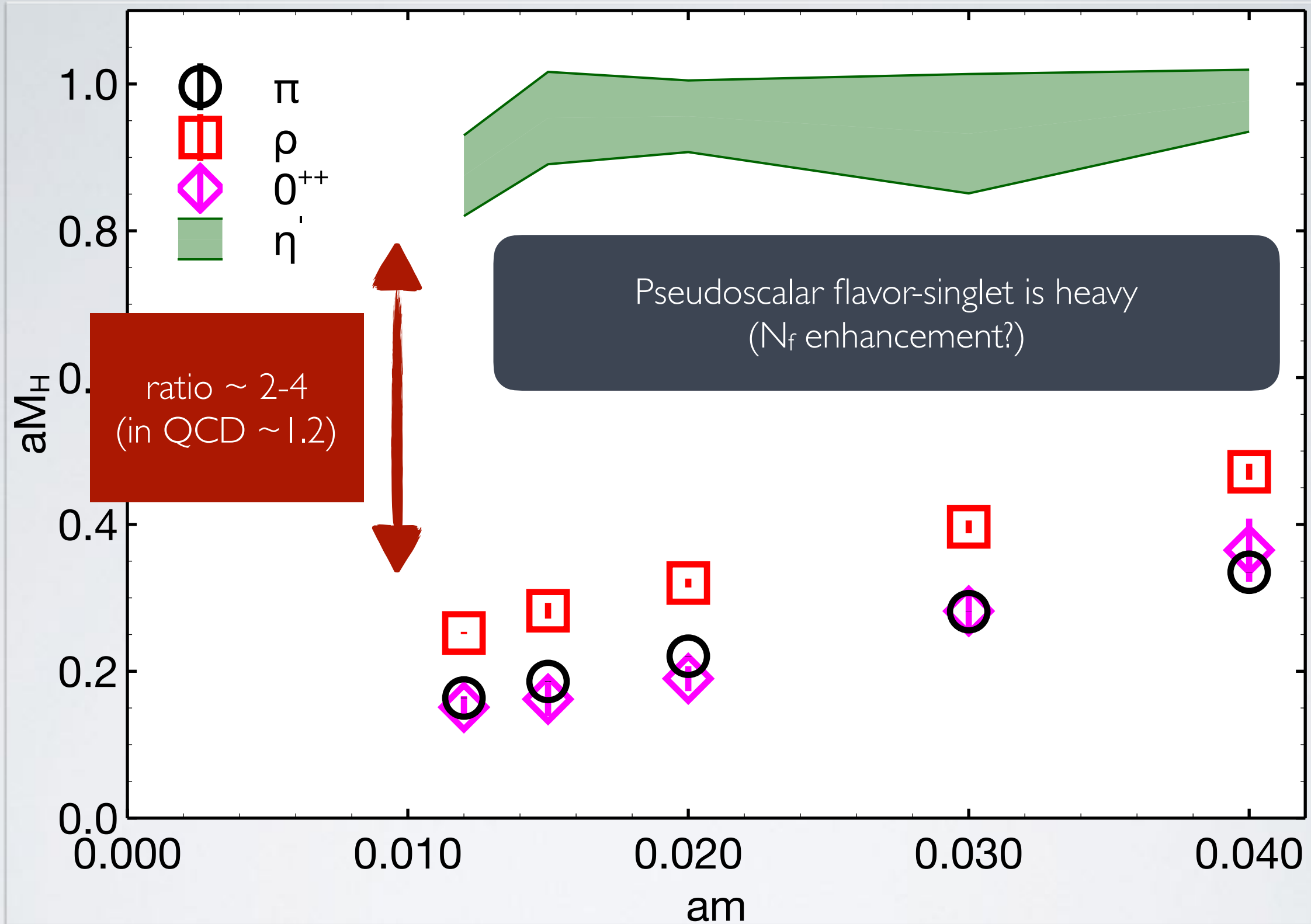


SU(2)
N_f=1 (A)

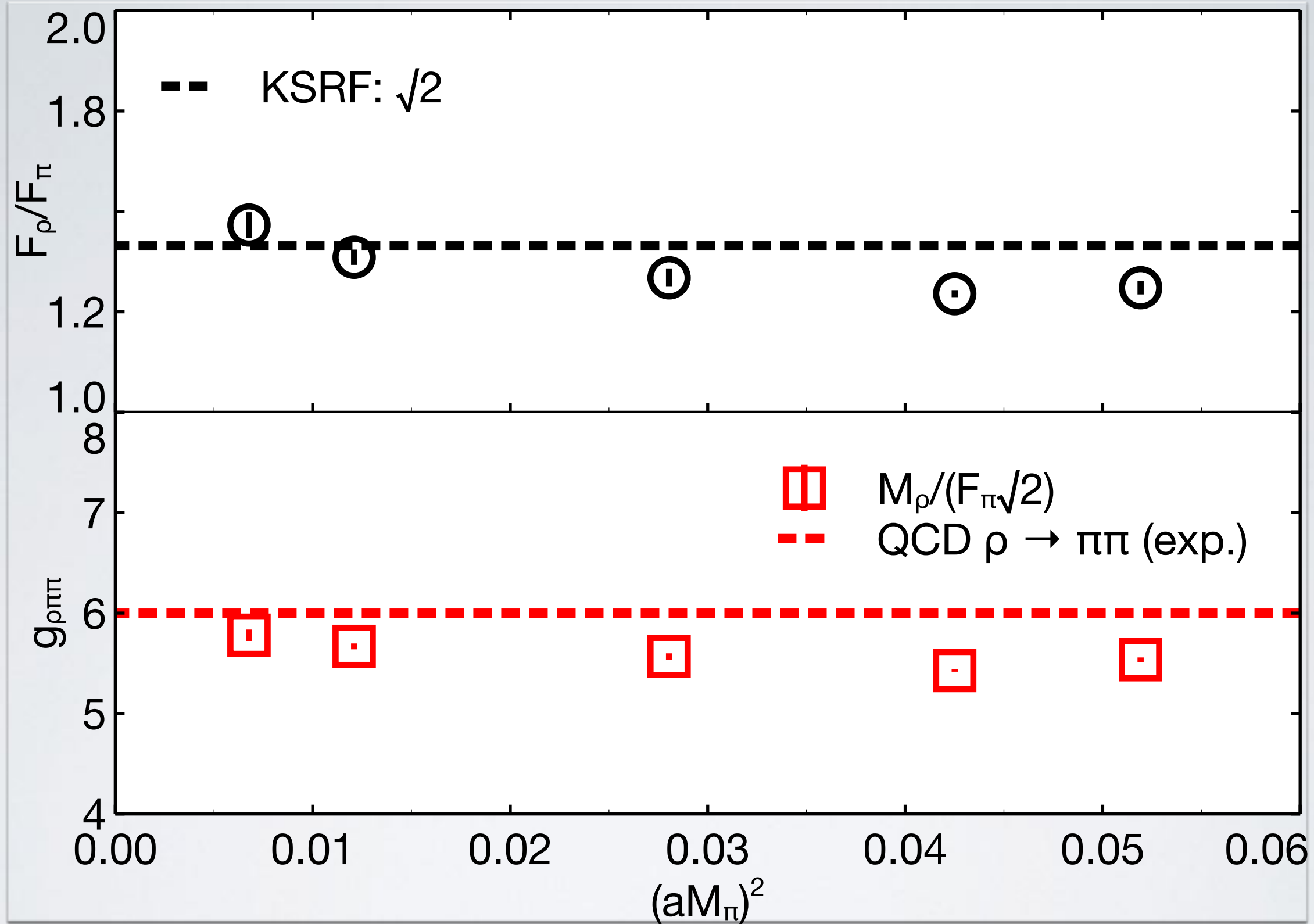


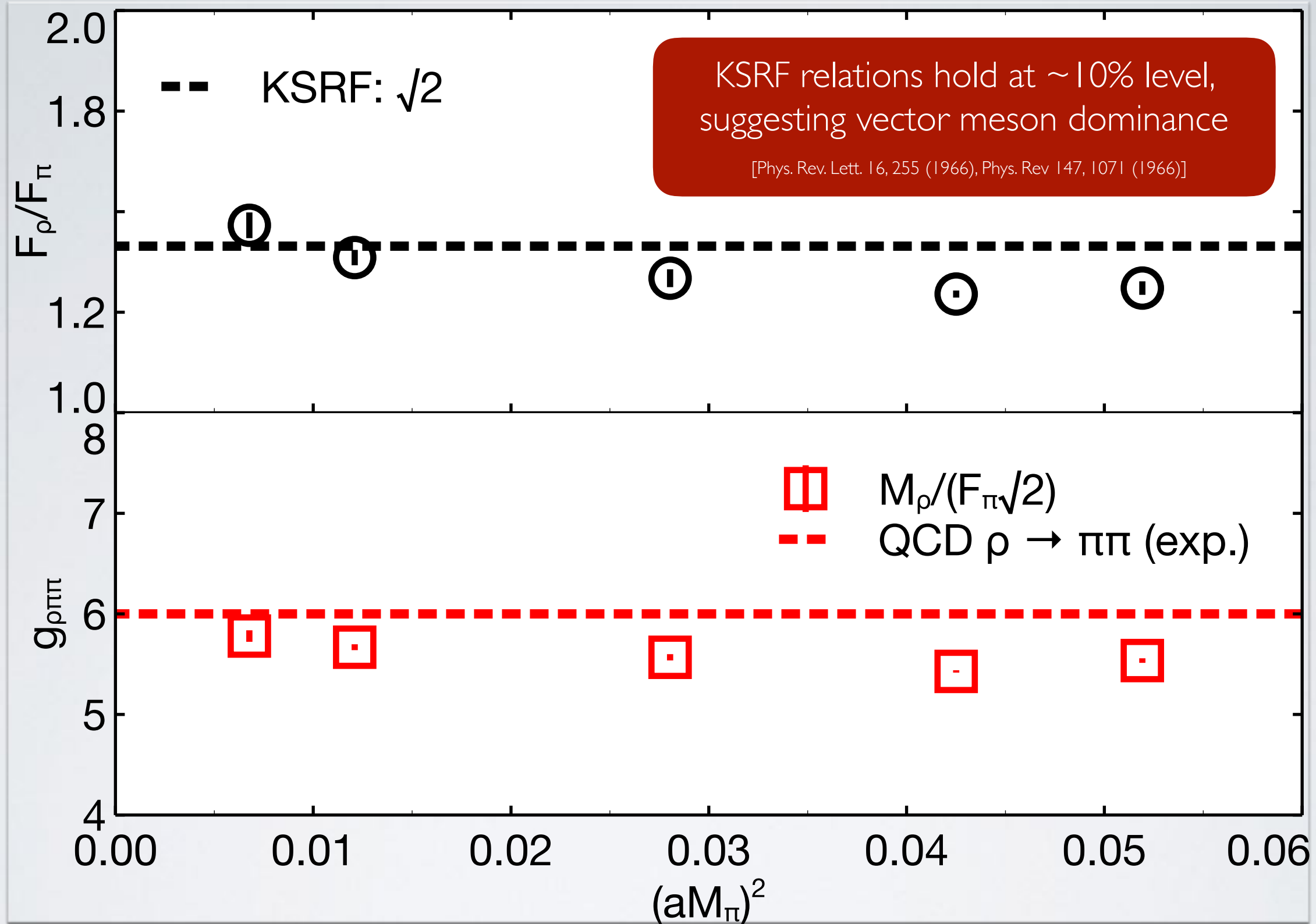


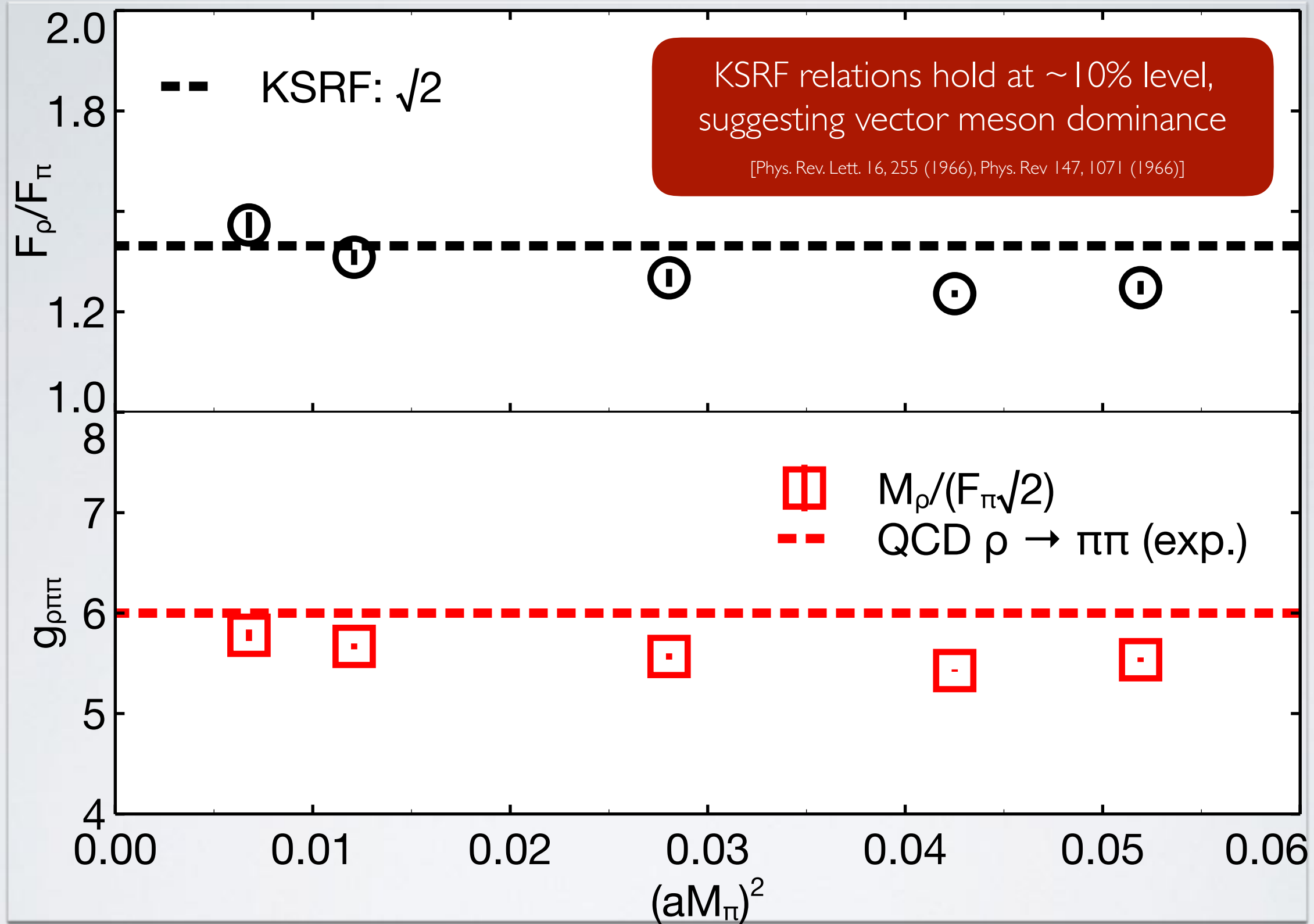




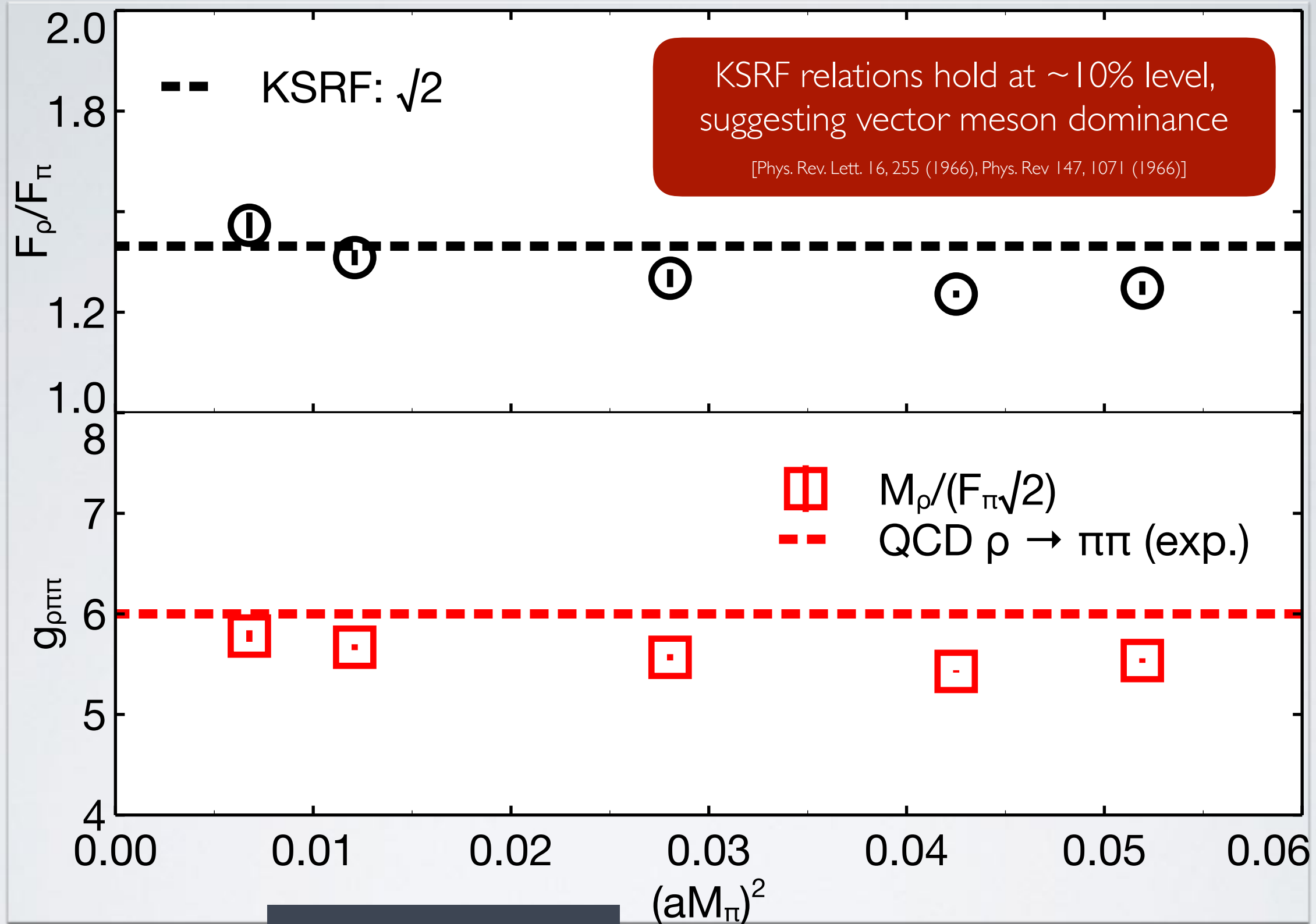
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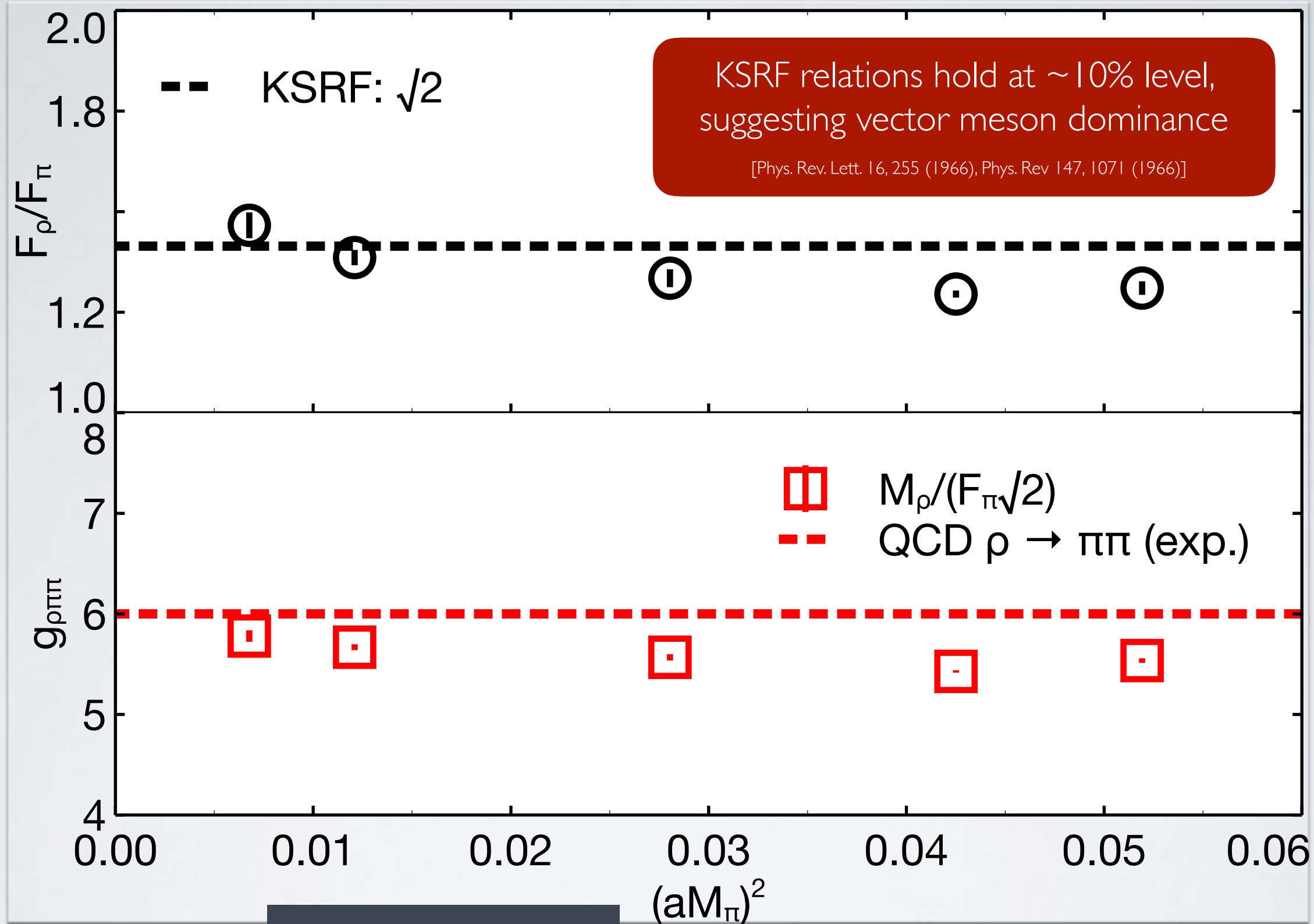
Similar to
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$$\Gamma_\rho \approx \frac{g_{\rho\pi\pi}^2 M_\rho}{48\pi}$$

LSD arxiv:1601.04027

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$M_\rho \sim 2\text{TeV}$ and $\Gamma_\rho \sim 450\text{GeV}$

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Similar to
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CONCLUSIONS

- Lattice results for the $SU(3)$ $N_f=8$ theory using different discretizations are painting a consistent picture: there is a light scalar flavor-singlet state, the dynamics is different from QCD, but other heavier resonances behave similarly to QCD
- A light scalar has been observed in other systems that are very close or inside the conformal window
- Lattice studies can give information about other hadronic quantities:
 - S-parameter [LSD arxiv:1405.4752, LatKMI arxiv:1602.00796]
 - couplings between flavor-singlet scalar and pseudoscalars, e.g. $\pi\pi\pi$ scattering in the scalar channel [LSD arXiv:1702.00480 + in prep.]
 - Higgs coupling to SM fermions, e.g. dilaton decay constant [LatKMI arxiv:1610.07011]
 - anomalous dimensions [LSD arxiv:1405.4752, LatKMI arxiv:1610.07011]

Caveat: infinite volume limit, continuum limit and chiral limit
need to be worked on!

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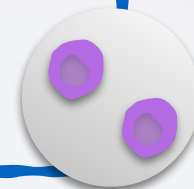
extra slides

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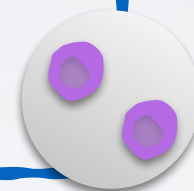
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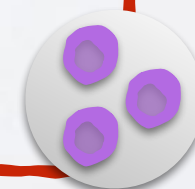
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- ◆ “Technibaryons” [*LSD*, 1301.1693]
- ◆ Stealth DM [*LSD*, 1503.04203-1503.04205]
- ◆ One-family TC [*LatKMI*, 1510.07373]
- ◆ Sextet CH [*LatHC*, 1601.03302]



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- ◆ SUNonia [*Boddy et al.*, 1402.3629]

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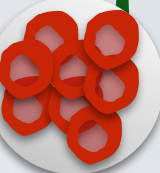
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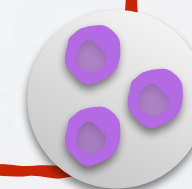
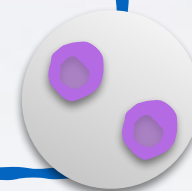
- ◆ SUNonia [*Boddy et al.*, 1402.3629]



















★ Dark Nuclei [*Detmold et al.*, 1406.2276-1406.4116]

★ Baryon-like (multiple quarks)











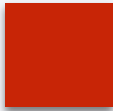






- ◆ “Technibaryons” [*LSD*, 1301.1693]
- ◆ Stealth DM [*LSD*, 1503.04203-1503.04205]
- ◆ One-family TC [*LatKMI*, 1510.07373]
- ◆ Sextet CH [*LatHC*, 1601.03302]



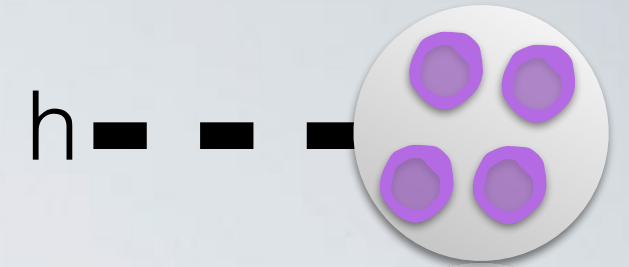
LATTICE RESULTS

Template Models	Spectrum	Higgs	Mag. Dip.	Charge r.	Polariz.
SU(2) $N_f=1$					
SU(2) $N_f=2$					
SU(3) $N_f=2,6$					
SU(3) $N_f=8$					
SU(3) $N_f=2$ (S)					
SU(4) $N_f=4$					
SO(4) $N_f=2$ (V)					
SU(N) $N_f=0$					

LATTICE RESULTS

Template Models	Spectrum	Higgs	Mag. Dip.	Charge r.	Polariz.
SU(2) $N_f=1$					
SU(2) $N_f=2$			 forbidden in pNGB DM		
SU(3) $N_f=2,6$					
SU(3) $N_f=8$					
SU(3) $N_f=2$ (S)					
SU(4) $N_f=4$			 forbidden in Stealth DM		
SO(4) $N_f=2$ (V)					
SU(N) $N_f=0$			 forbidden in SUNonia		

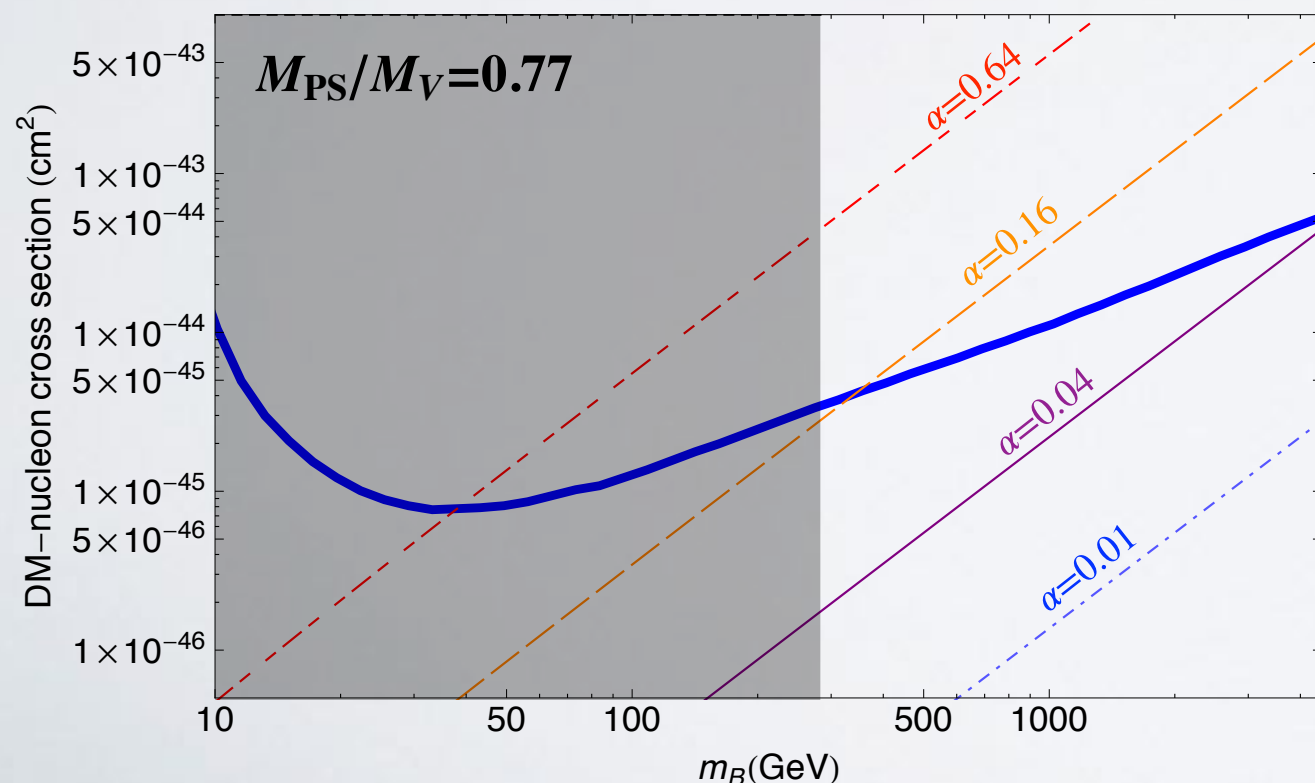
Bounds from Higgs exchange



- ◆ Lattice results for the cross-section are compared to **experimental** bounds
- ◆ Coupling space in specific models can be vastly constrained

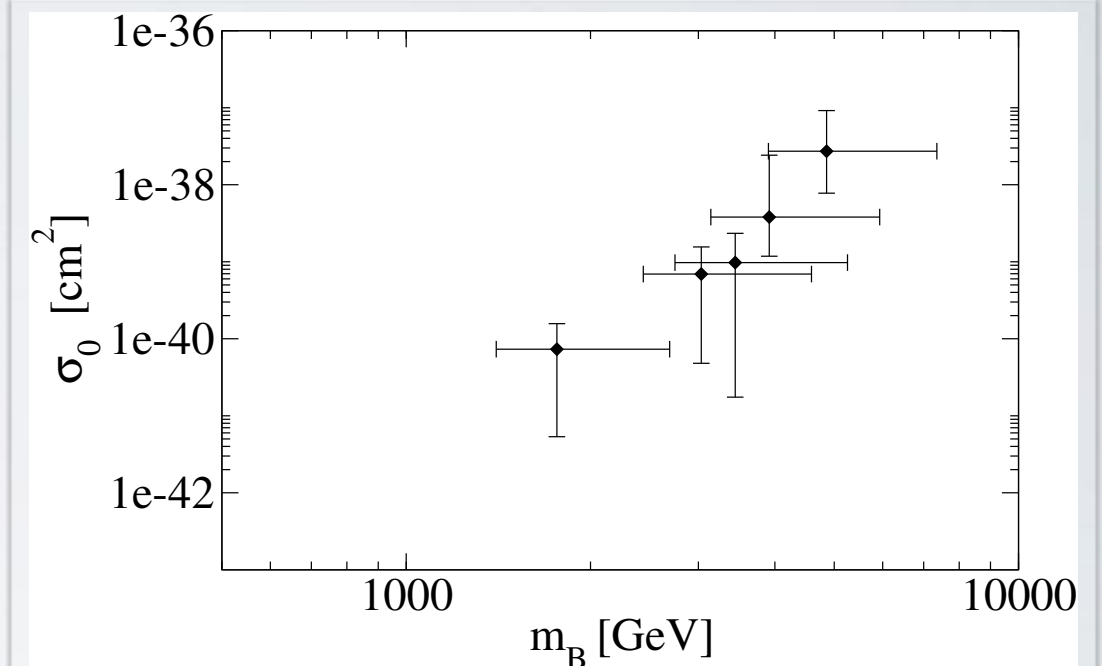
SU(4) $N_f=4$ Stealth DM

[LSD, 1402.6656-1503.04203]



SU(3) $N_f=8$ “technibaryon”

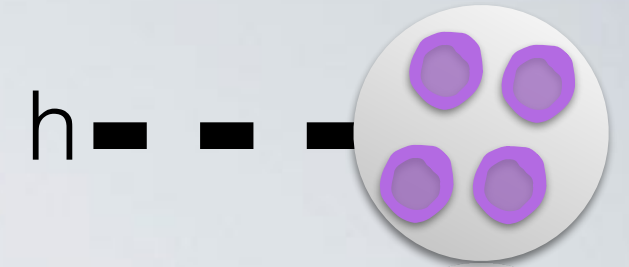
[LatKML, 1510.07373]



- ◆ Some candidates can be excluded as dominant sources of dark matter
- ◆ There is lattice evidence for universality of dark scalar form factors

[DeGrand et al., 1501.05665]

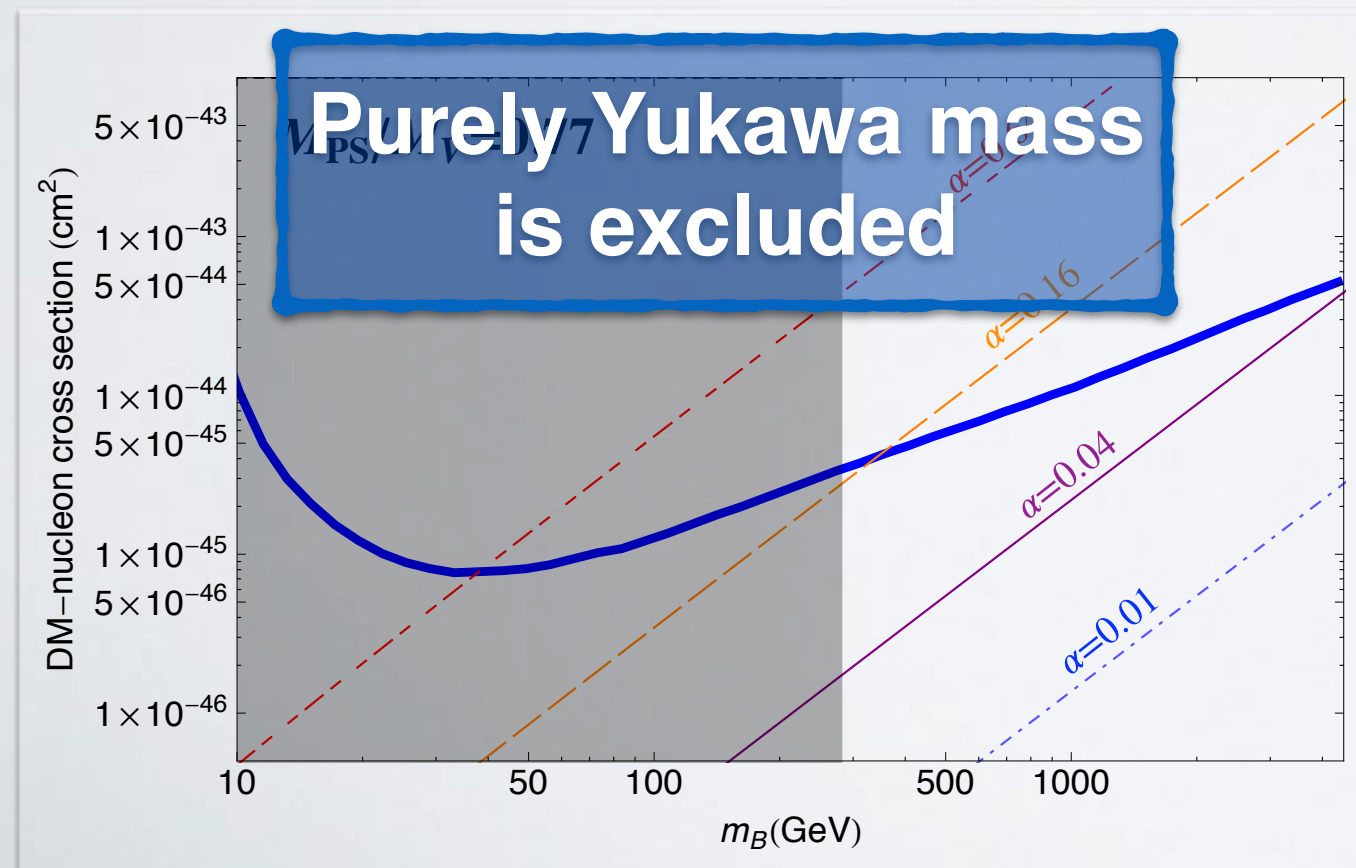
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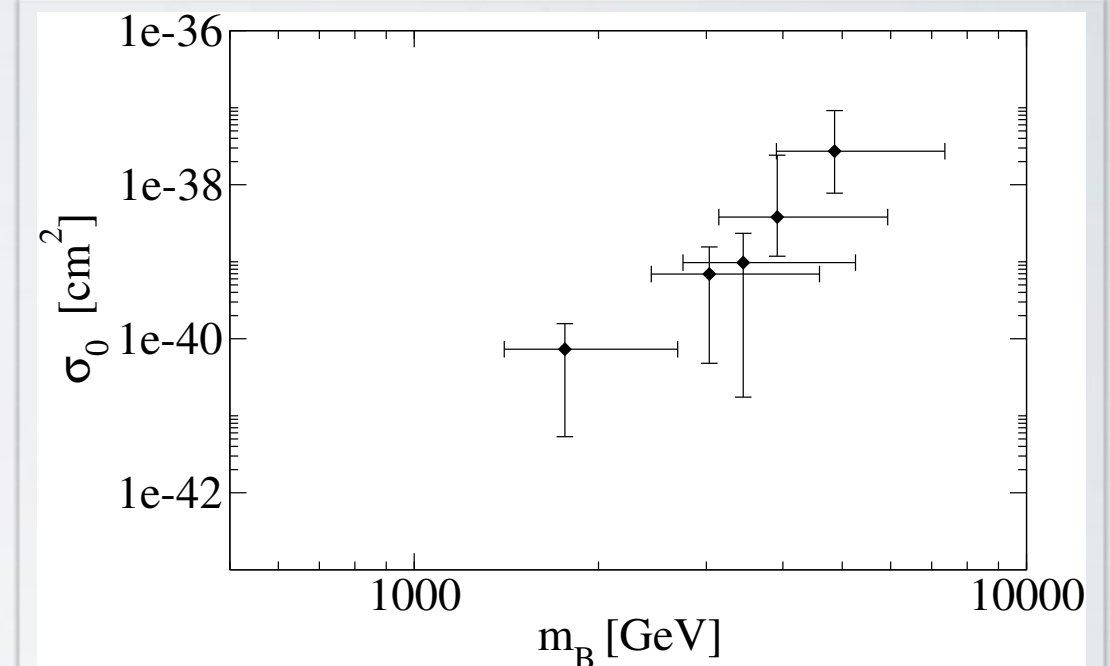
SU(4) $N_f=4$ Stealth DM

[LSD, 1402.6656-1503.04203]



SU(3) $N_f=8$ “technibaryon”

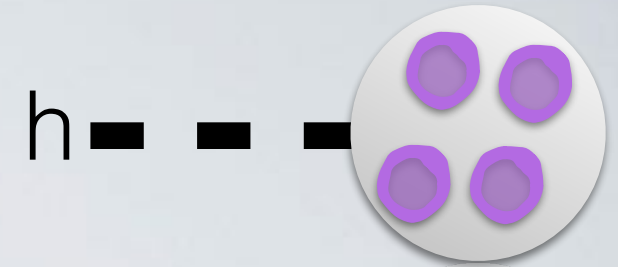
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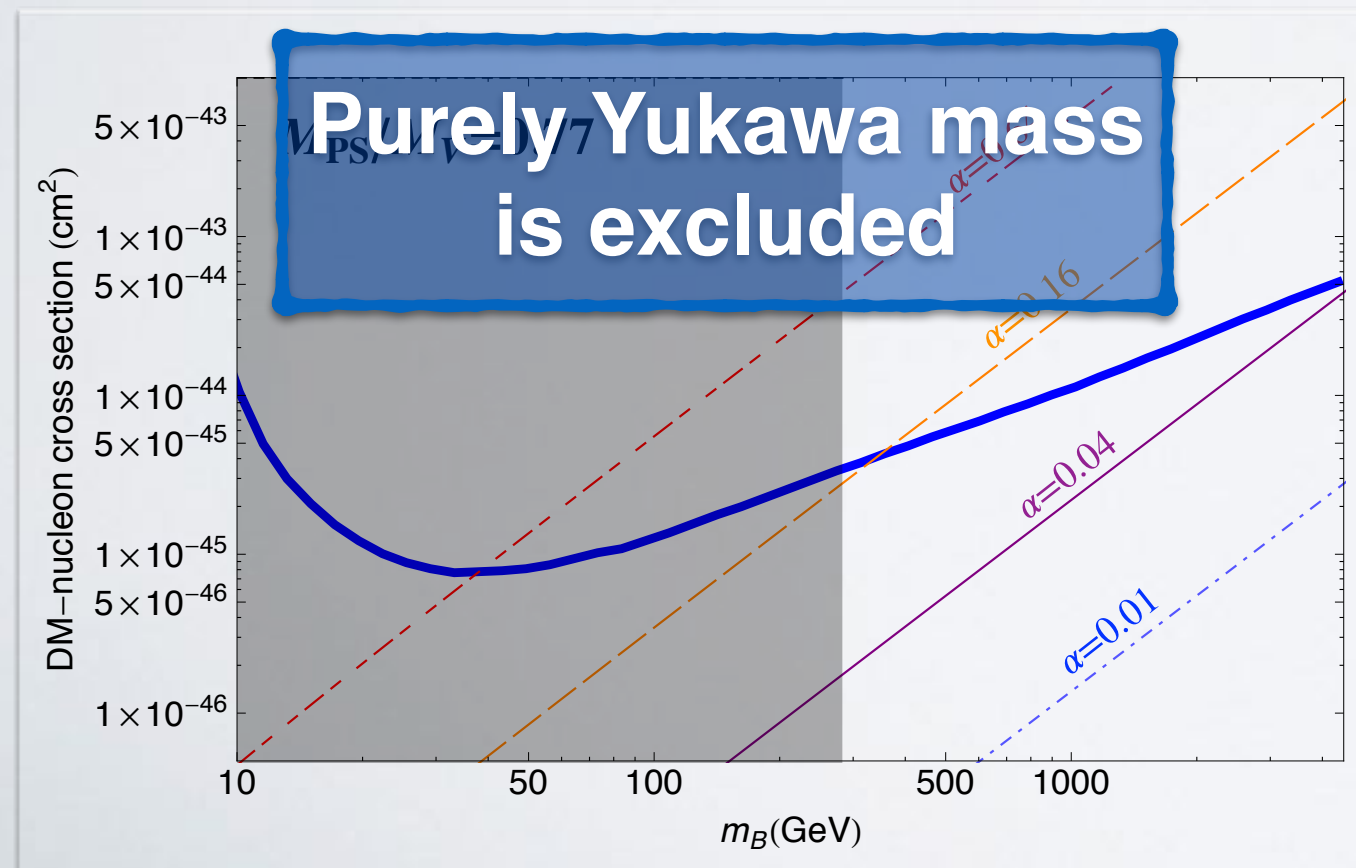
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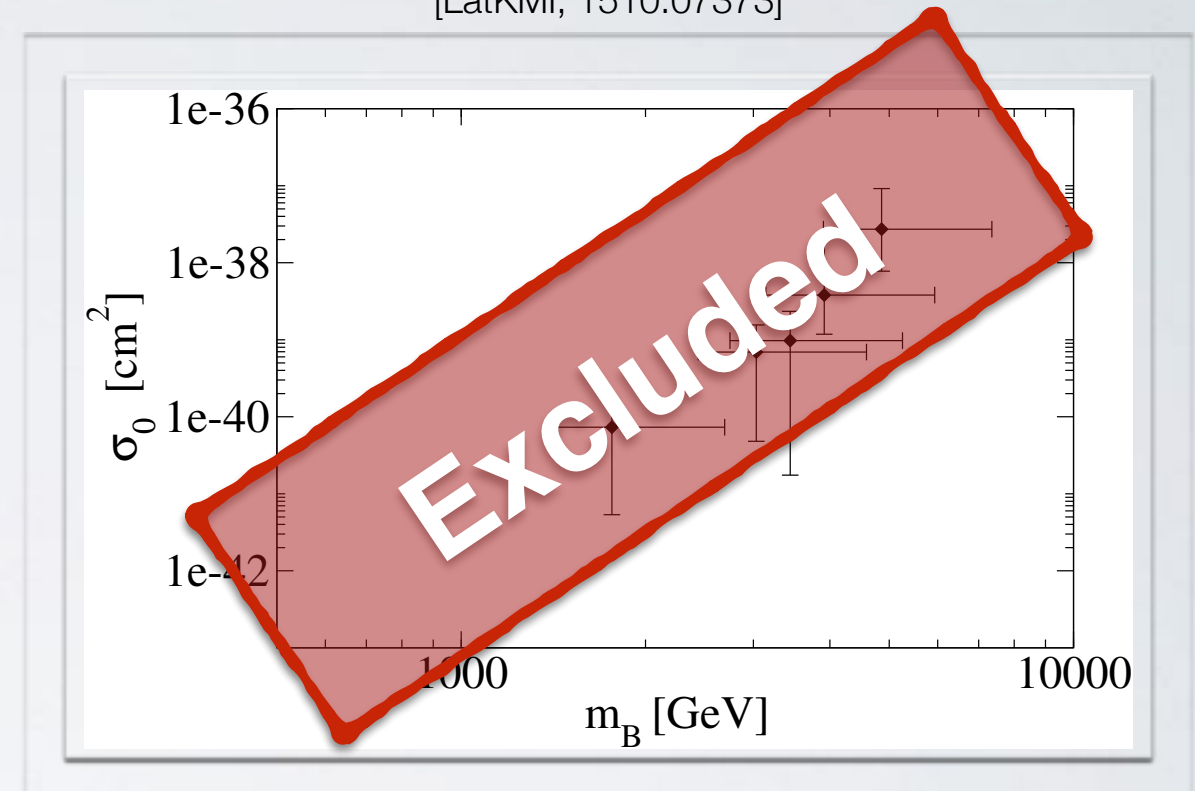
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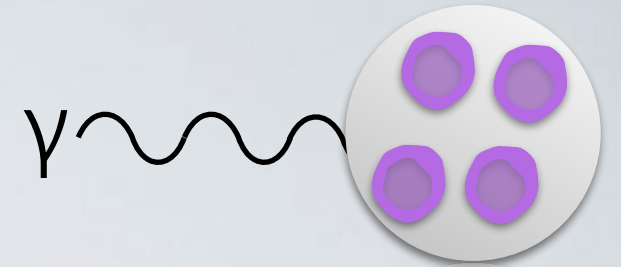
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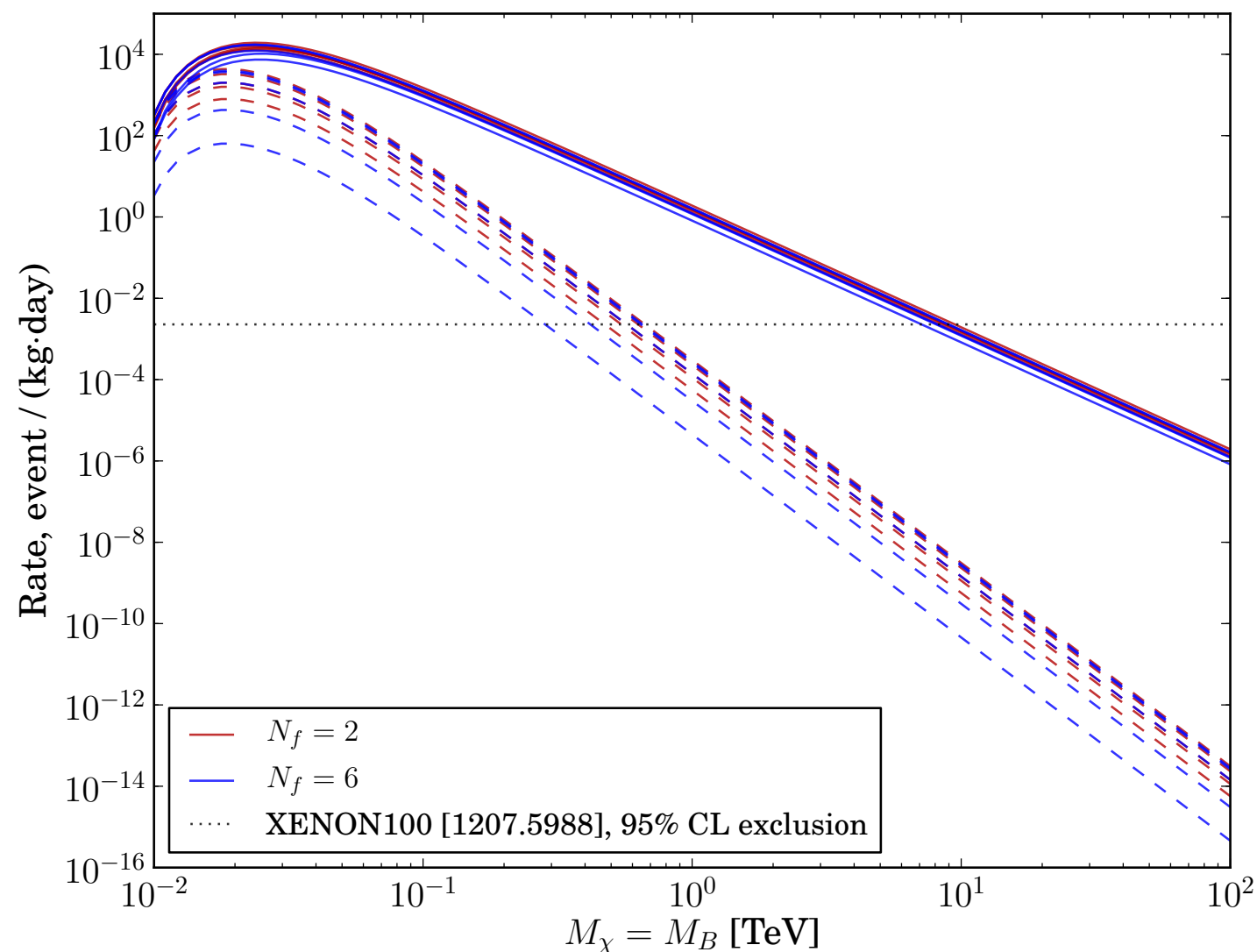
Bounds from EM moments



Mesonic and Baryonic EM form factors
directly from lattice simulations

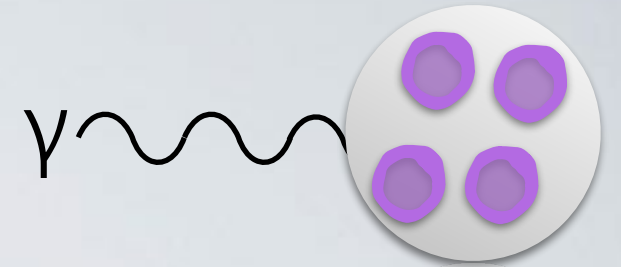
SU(3) $N_f=2,6$ dark fermionic baryon

[LSD, 1301.1693]



- ★ baryon similar to QCD neutron
- ★ dark quarks with $Q=Y$
- ★ calculate connected 3pt
- ★ scale set by DM mass
- ★ magnetic moment dominates
- ★ results independent of N_f

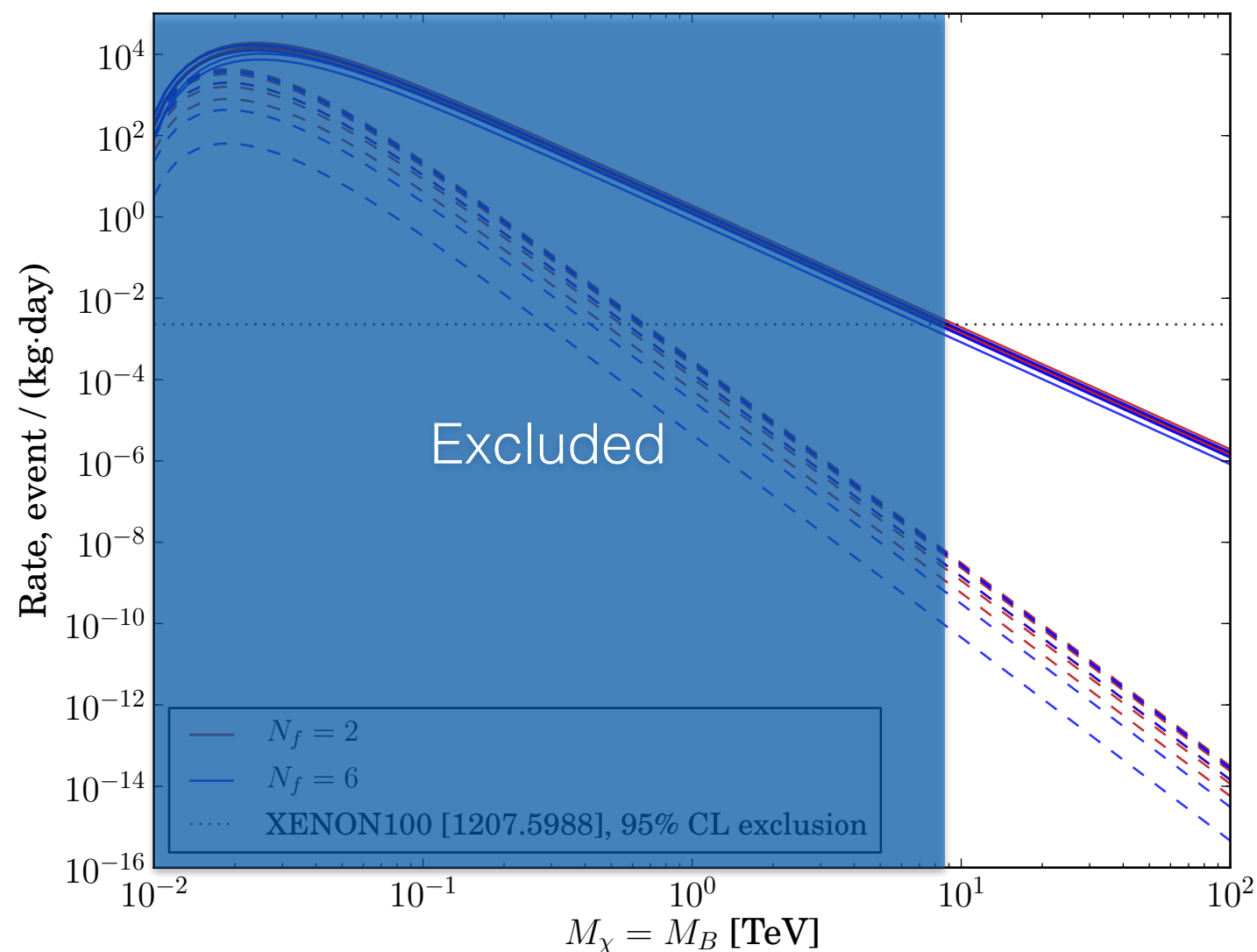
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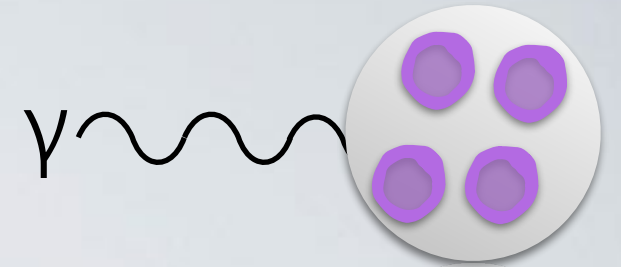
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$$M_B > \sim 10 \text{ TeV}$$

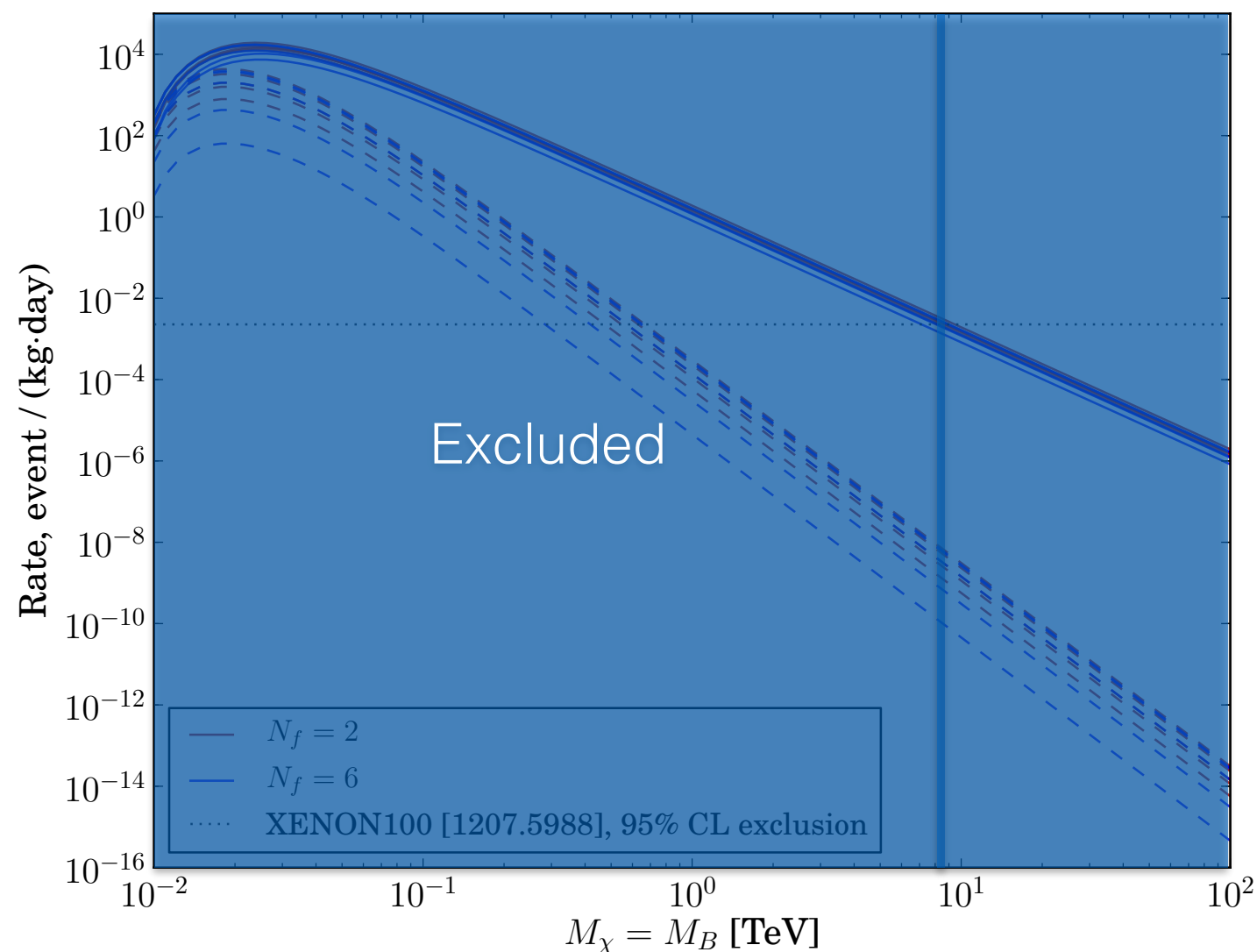
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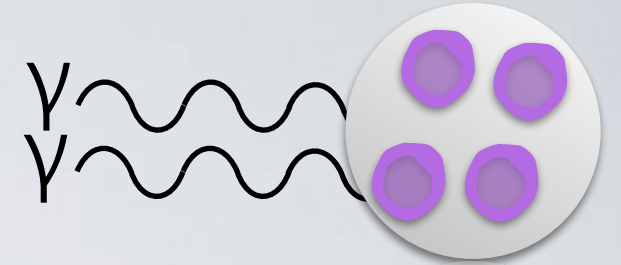


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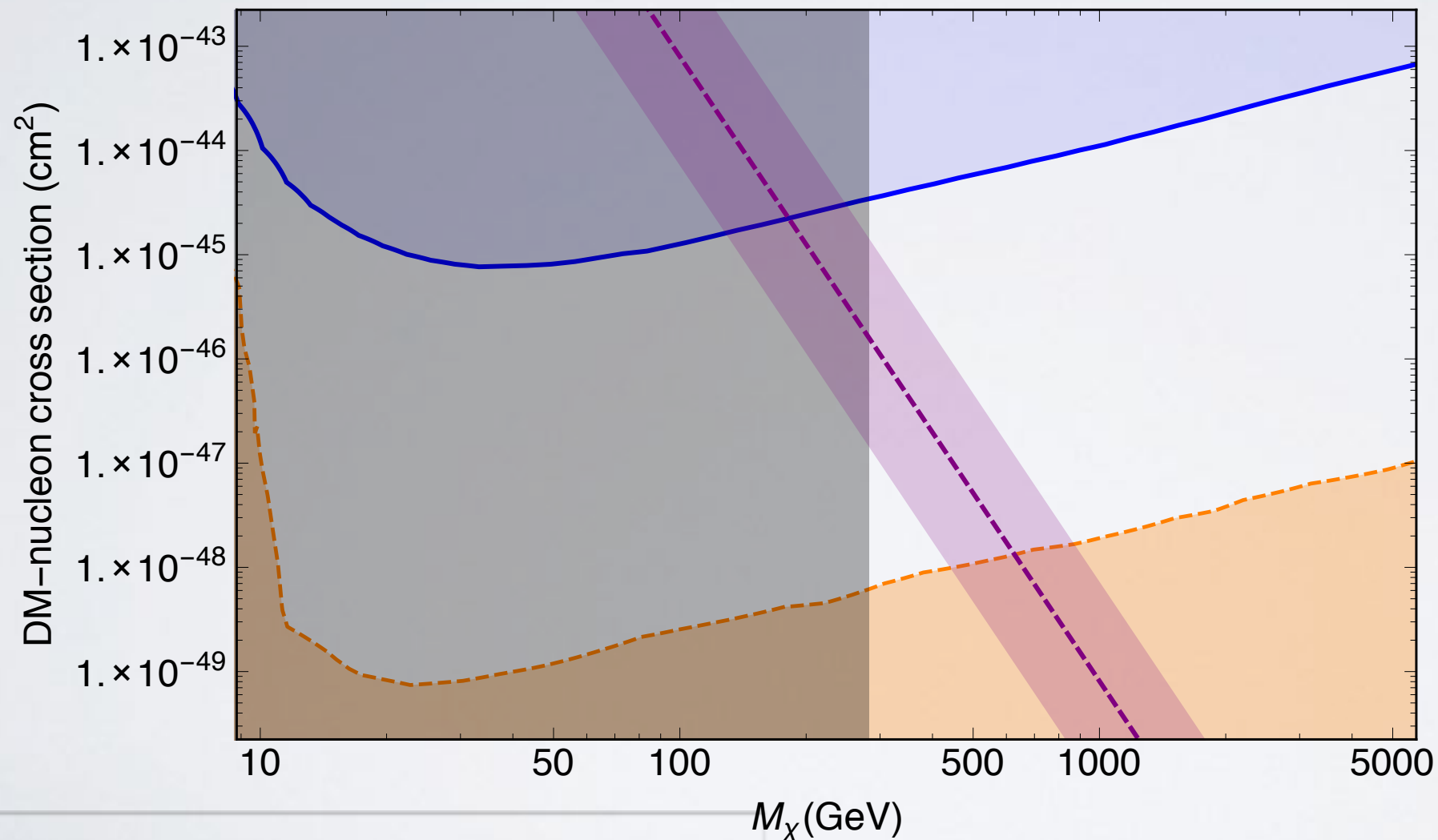
$M_B > \sim 10$ TeV

pushed to ~ 100 TeV
with new LUX

Lowest bound from EM polarizability



Electric polarizability from lattice simulations with background fields

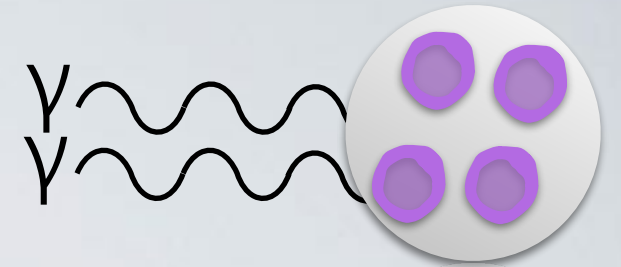


SU(4) $N_f=4$ Stealth DM

[LSD, 1503.04205]

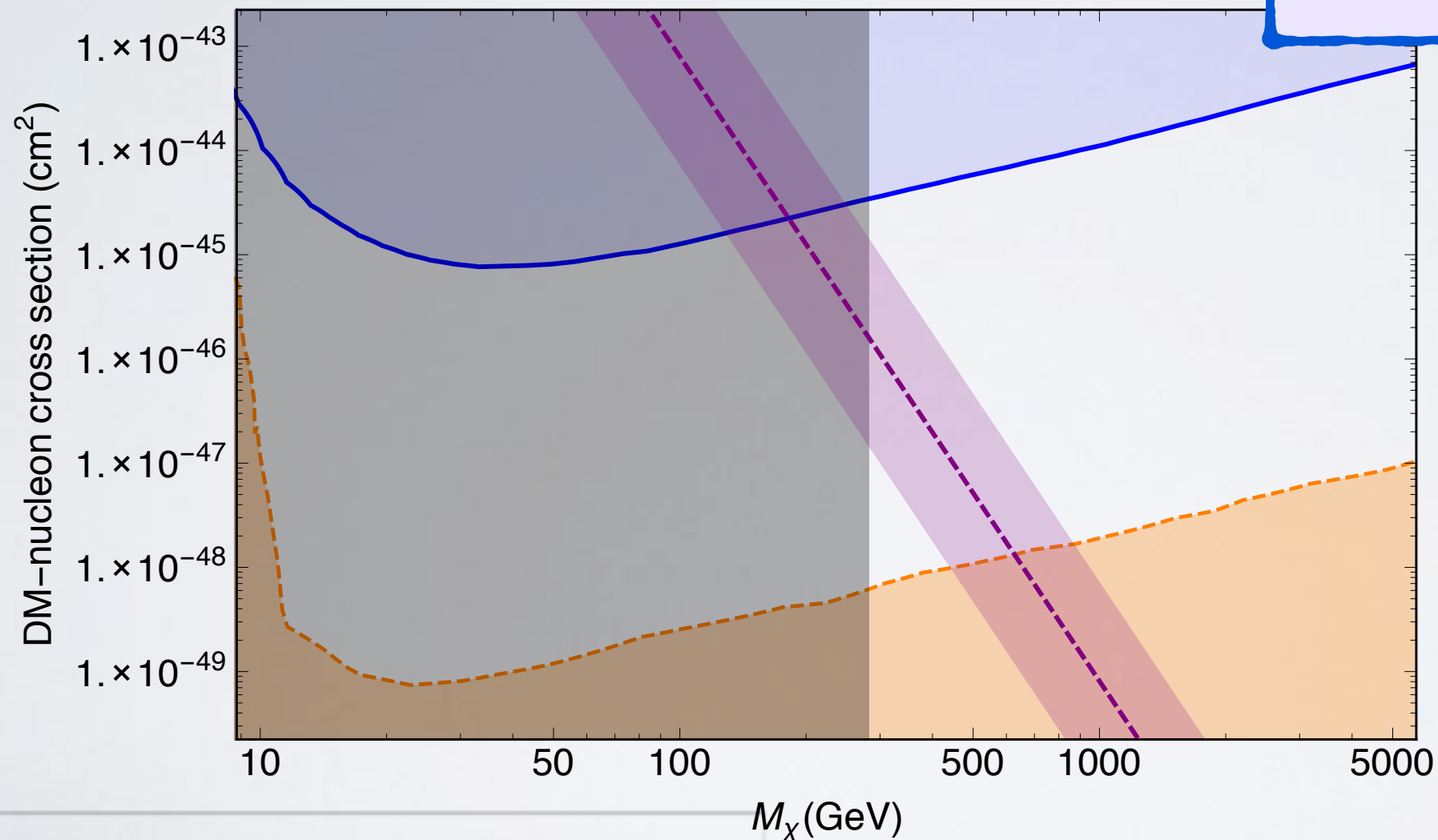
$$\sigma_{\text{nucleon}}(Z, A) = \frac{Z^4}{A^2} \frac{144\pi\alpha^4 \mu_{n\chi}^2 (M_F^A)^2}{m_\chi^6 R^2} [c_F]^2$$

Lowest bound from EM polarizability



Electric polarizability from lattice simulations with background fields

LUX exclusion bound for spin-independent cross section

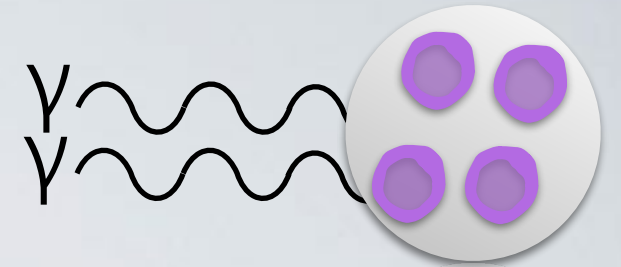


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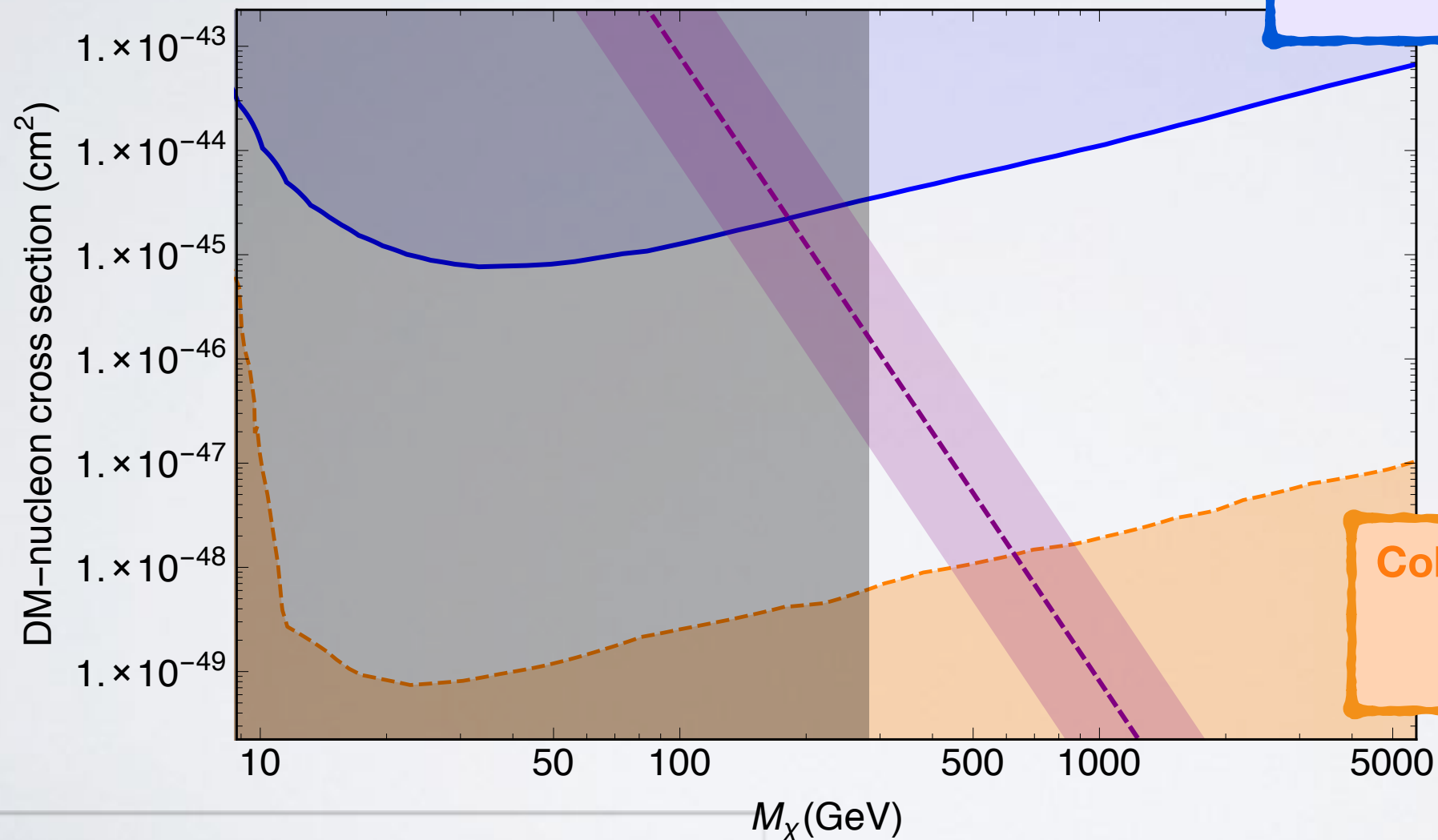
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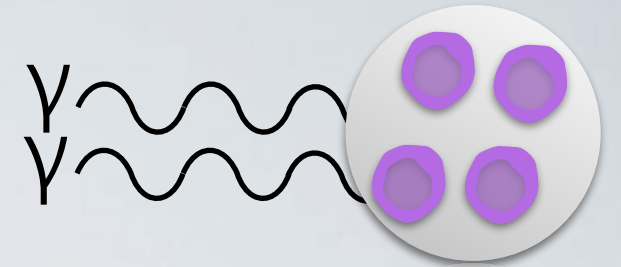
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[LSD, 1503.04205]

Coherent neutrino scattering background

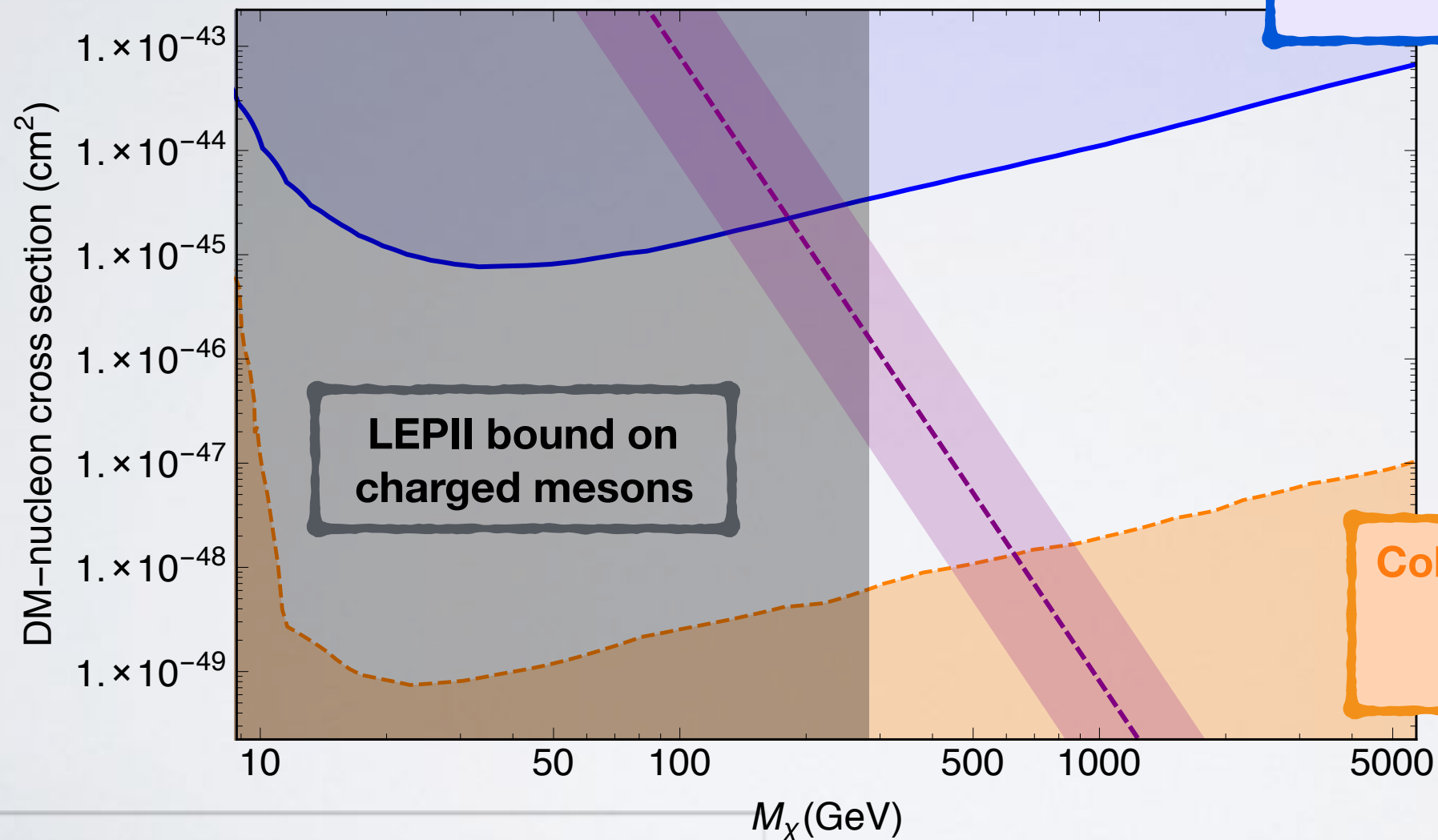
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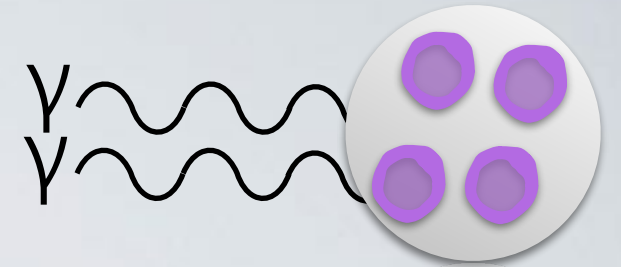


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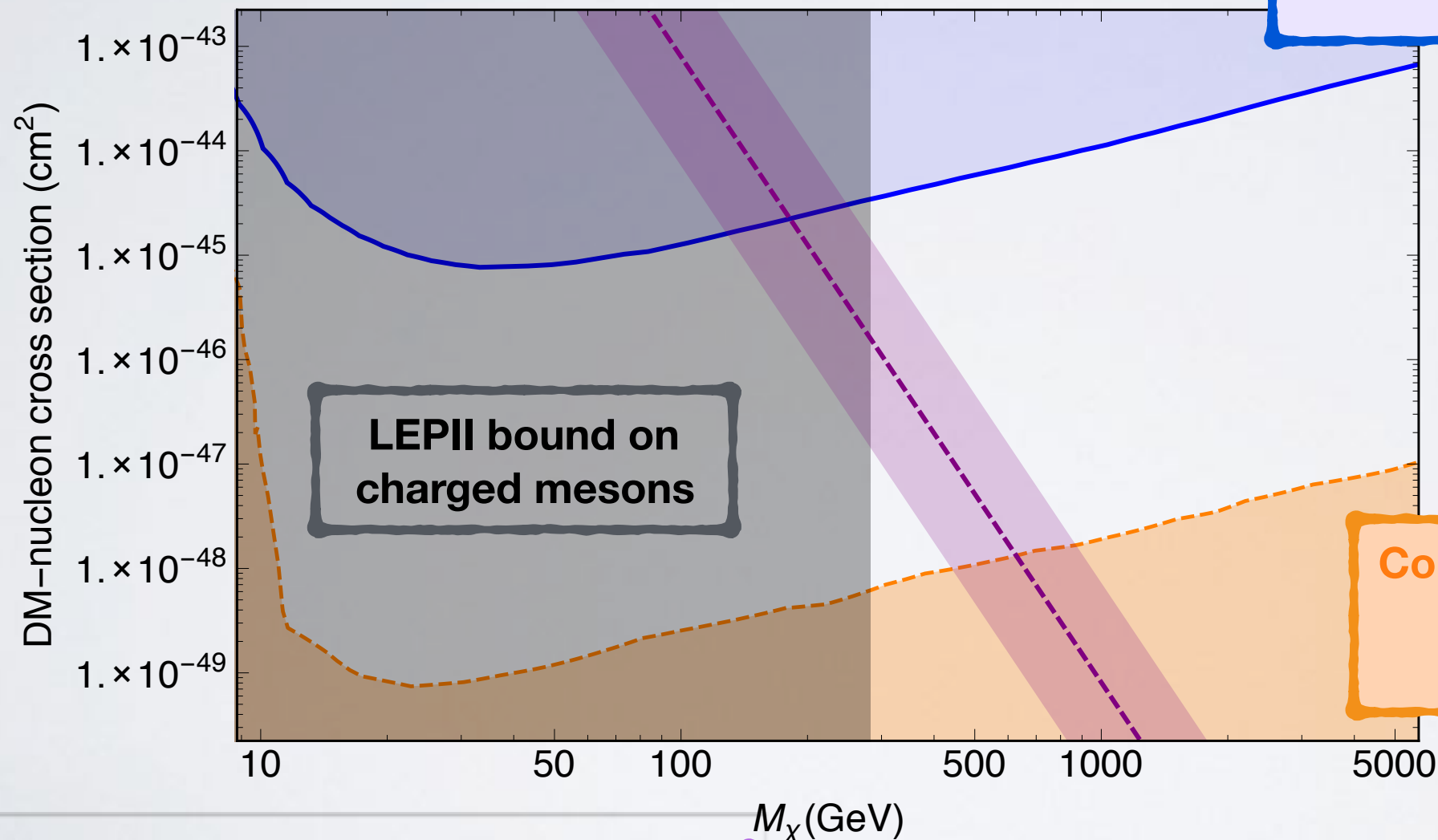
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lowest allowed direct detection cross-section for composite dark matter theories with EW charged constituents

“Stealth Dark Matter” model

[LSD collab., Phys. Rev. D92 (2015) 075030]

- The field content of the model consists in **8 Weyl fermions**
- Dark fermions interact with the SM Higgs and obtain **current/chiral masses**
- Introduce **vector-like masses** for dark fermions that do not break EW symmetry
- Diagonalizing in the mass eigenbasis gives **4 Dirac fermions**
- Assume **custodial SU(2) symmetry** arising when **$u \leftrightarrow d$**

Field	$SU(N)_D$	$(SU(2)_L, Y)$	Q
$F_1 = \begin{pmatrix} F_1^u \\ F_1^d \end{pmatrix}$	\mathbf{N}	$(\mathbf{2}, 0)$	$\begin{pmatrix} +1/2 \\ -1/2 \end{pmatrix}$
$F_2 = \begin{pmatrix} F_2^u \\ F_2^d \end{pmatrix}$	$\overline{\mathbf{N}}$	$(\mathbf{2}, 0)$	$\begin{pmatrix} +1/2 \\ -1/2 \end{pmatrix}$
F_3^u	\mathbf{N}	$(\mathbf{1}, +1/2)$	$+1/2$
F_3^d	\mathbf{N}	$(\mathbf{1}, -1/2)$	$-1/2$
F_4^u	$\overline{\mathbf{N}}$	$(\mathbf{1}, +1/2)$	$+1/2$
F_4^d	$\overline{\mathbf{N}}$	$(\mathbf{1}, -1/2)$	$-1/2$

$$\mathcal{L} \supset + y_{14}^u \epsilon_{ij} F_1^i H^j F_4^d + y_{14}^d F_1 \cdot H^\dagger F_4^u - y_{23}^d \epsilon_{ij} F_2^i H^j F_3^d - y_{23}^u F_2 \cdot H^\dagger F_3^u + h.c.$$

$$\mathcal{L} \supset M_{12} \epsilon_{ij} F_1^i F_2^j - M_{34}^u F_3^u F_4^d + M_{34}^d F_3^d F_4^u + h.c.$$

$$y_{14}^u = y_{14}^d \quad y_{23}^u = y_{23}^d \quad M_{34}^u = M_{34}^d$$

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$$y_{14}^u = y_{14}^d \quad y_{23}^u = y_{23}^d \quad M_{34}^u = M_{34}^d$$

COME UN CACCIA INVISIBILE AI RADAR

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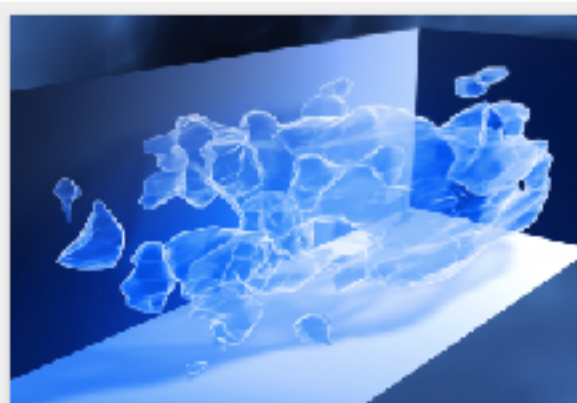
Materia oscura "stealth"

Quark oscuri tenuti insieme da un'interazione forte a sua volta oscura. Ecco come la dark matter riuscirebbe a eludere a ogni tentativo d'incastriarla. Enrico Rinaldi (LLNL): «Esiste la possibilità che questo "mondo oscuro", con le sue nuove particelle, possa essere rivelato dagli esperimenti in corso al Large Hadron Collider al CERN di Ginevra»

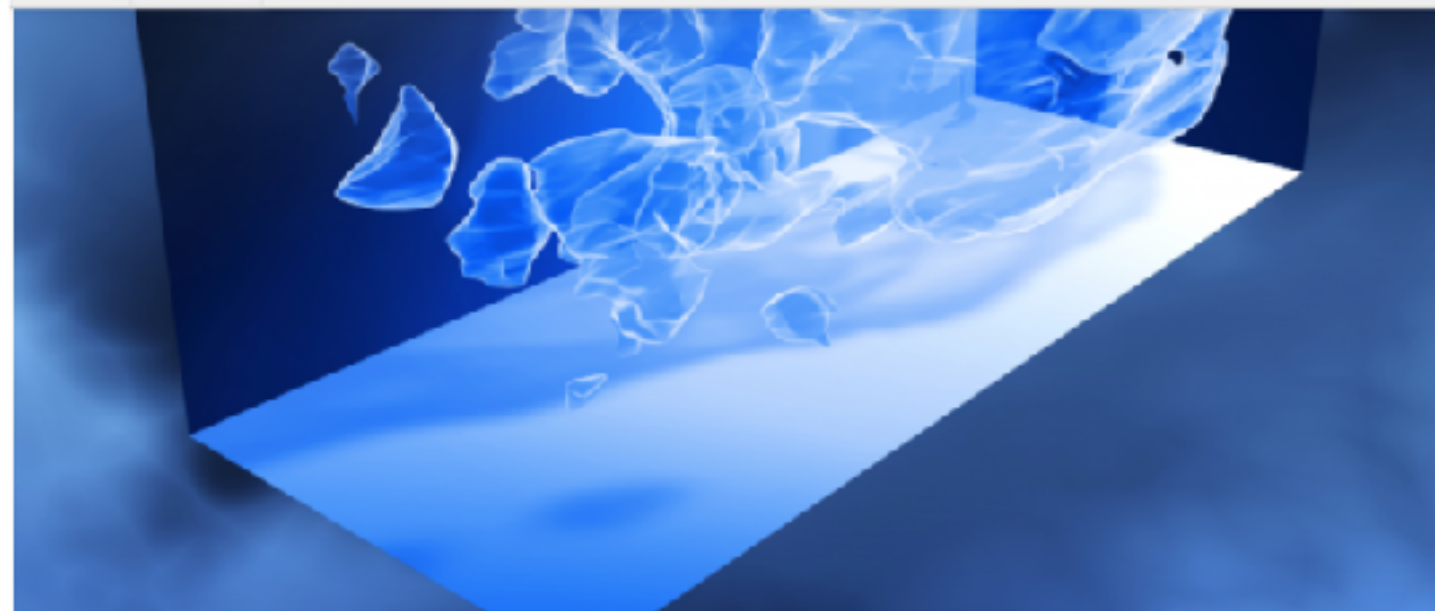
di Marco Malaspina [Segui @malaspina](#)

venerdì 25 settembre 2015 @ 16:15

Stealth come furtiva. *Stealth* come imprevedibile. *Stealth* come quei minacciosi aerei da guerra dal profilo sagomato così da essere invisibili al radar. Da quanto emerge dai calcoli dei fisici dell'LLNL, il Lawrence Livermore National Laboratory californiano, e dai modelli dati in pasto a Vulcan (un supercomputer per il calcolo parallelo in grado di masticare numeri al ritmo del *peraflop*), sarebbe questa la natura della materia oscura: *stealthy*, appunto. Per forza non c'è ancora esperimento che sia riuscito a incastriarla.



Mappa 3D della distribuzione su larga scala della materia oscura ricostruita da misure di lente gravitazionale debole utilizzando il telescopio spaziale Hubble



This 3D map illustrates the large-scale distribution of dark matter, reconstructed from measurements of weak gravitational lensing by using the Hubble Space Telescope. ([Download Image](#))

New 'stealth dark matter' theory may explain mystery of the universe's missing mass



Lawrence Livermore National Laboratory (LLNL) scientists have come up with a new theory that may identify why dark matter has evaded direct detection in Earth-based experiments.

Anne M Stark
stark8@llnl.gov
925-422-9799

Detecting Stealth Dark Matter Directly through Electromagnetic Polarizability.

Overview of attention for article published in Physical Review Letters, October 2015



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In the top 5% of all research outputs scored by Altmetric

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Title Detecting Stealth Dark Matter Directly through Electromagnetic Polarizability.
Published in Physical Review Letters, October 2015
DOI 10.1103/physrevlett.115.171803 [C](#)
Pubmed ID 26551103 [C](#)
Authors T. Appelquist, E. Berkowitz, R. C. Broder, M. I. Buchhoff, G. T. Fleming, X.-Y. Jin, J. Kiskis, G. D...
[\[show\]](#)
Abstract We calculate the spin-independent scattering cross section for direct detection that results from... [\[show\]](#)

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Le Scienze

EDIZIONE ITALIANA DI SCIENTIFIC AMERICAN

LA RIVISTA IN EDIZIONE

Materia oscura
Nuove ipotesi su
misteriosa compo-
nente ancora più
bizzarra
In edicola dal 1

ABBONAMENTI E

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iflammenco! **Festival Flamenco 5-11 ottobre 2015**

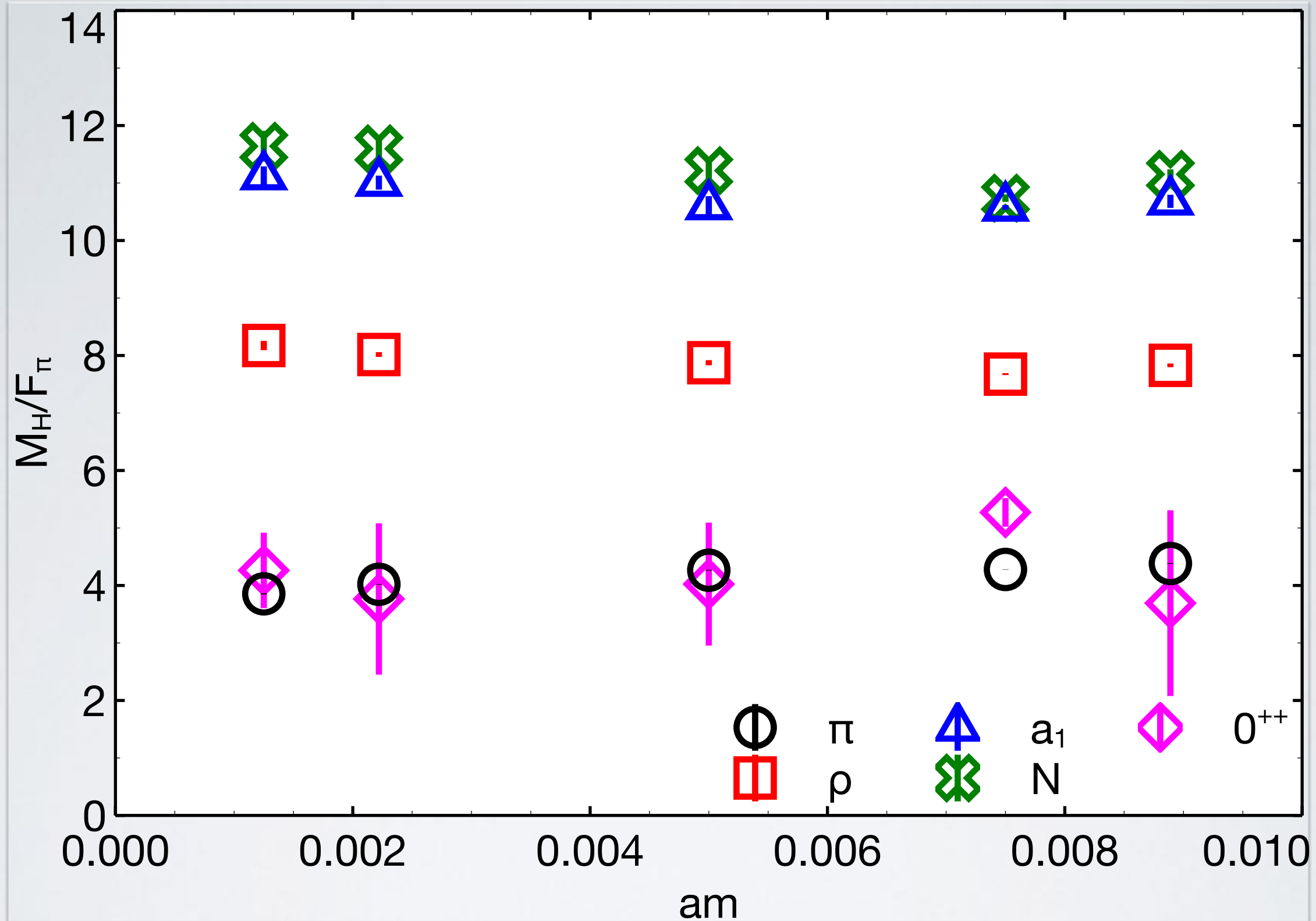
28 settembre 2015

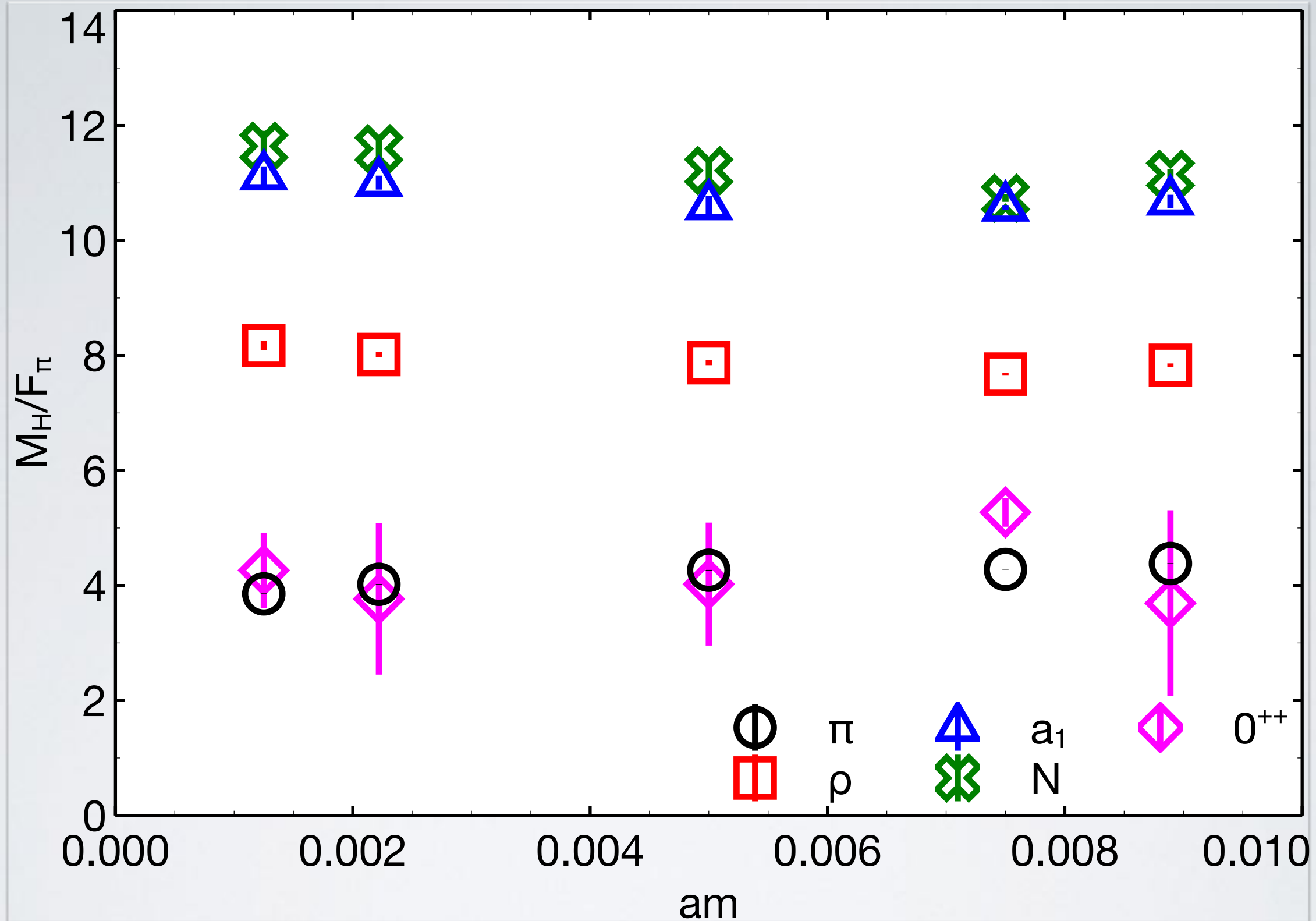
Un nuovo modello per la materia oscura



Questa forma misteriosa di materia potrebbe avere una struttura composita come la materia ordinaria, con "quark oscuri" aggregati e tenuti insieme da un analogo della forza che permette ai normali nuclei di rimanere stabili. I componenti di questo tipo di materia oscura, definita stealth matter, potrebbero essere studiati in modo indiretto dal collisore Large Hadron Collider del CERN di Ginevra. (red)

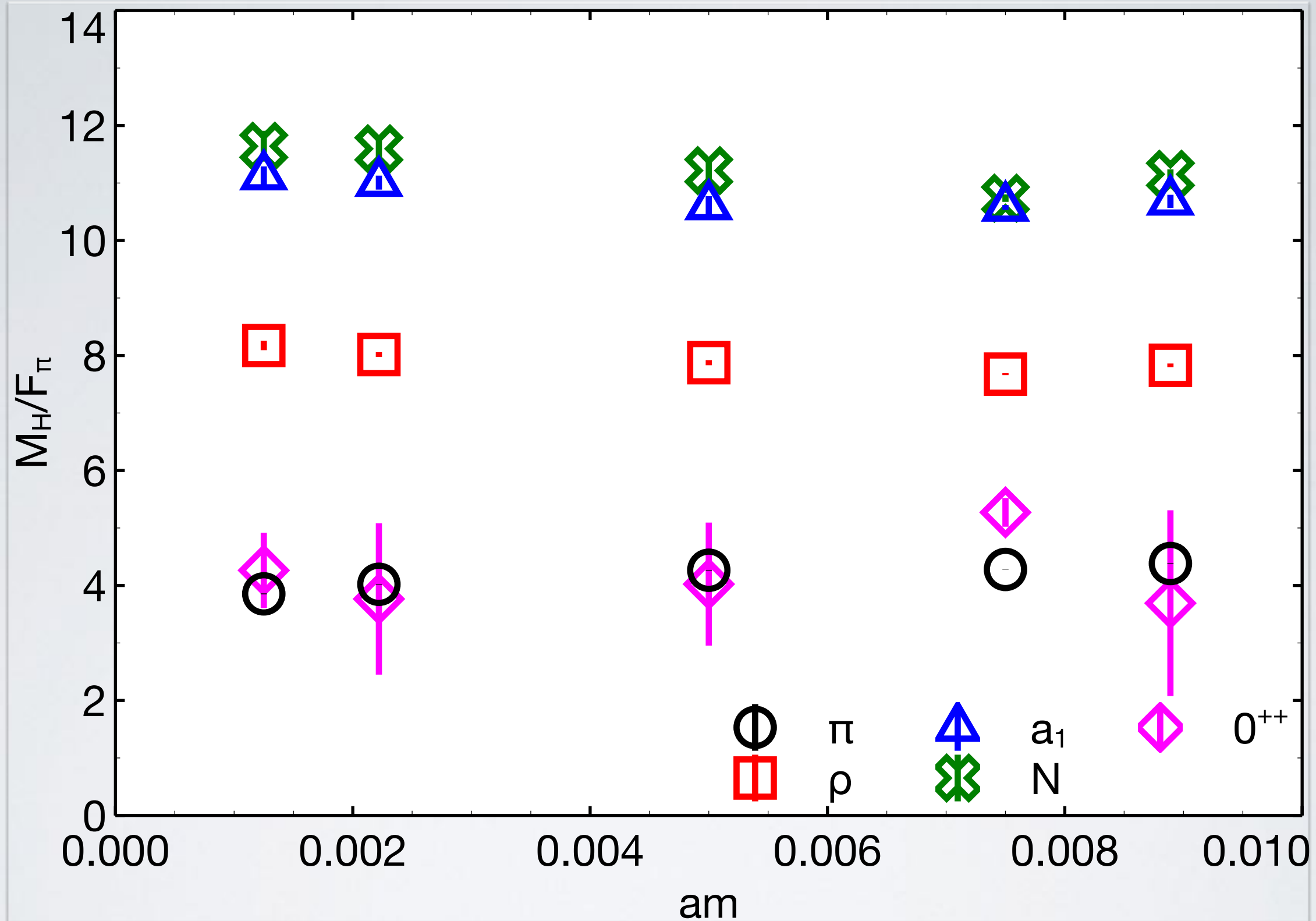
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Similar to
QCD?

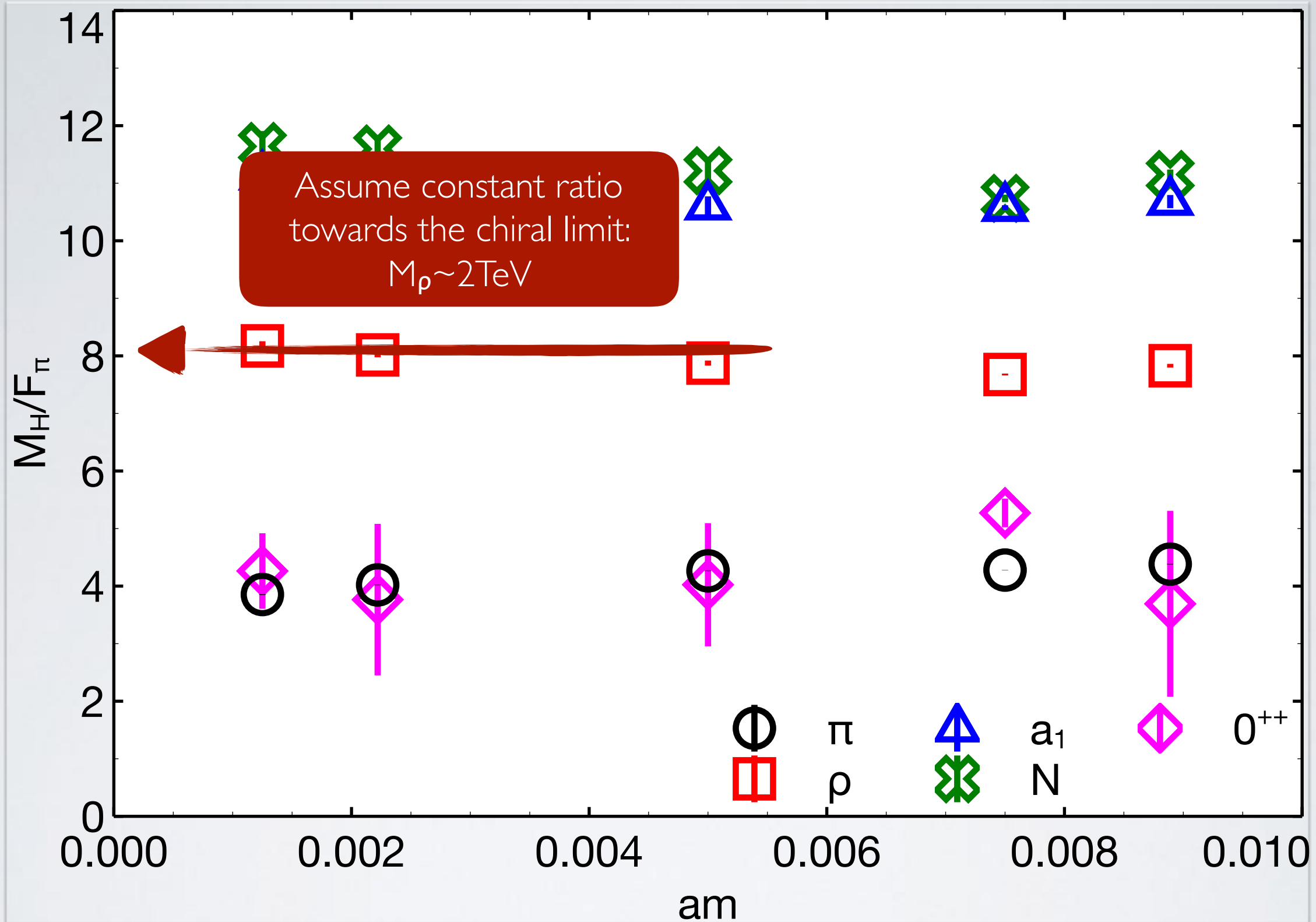
LSD arxiv:1601.04027 [scalar update, preliminary]



Similar to
QCD?

LSD arxiv:1601.04027 [scalar update, preliminary]

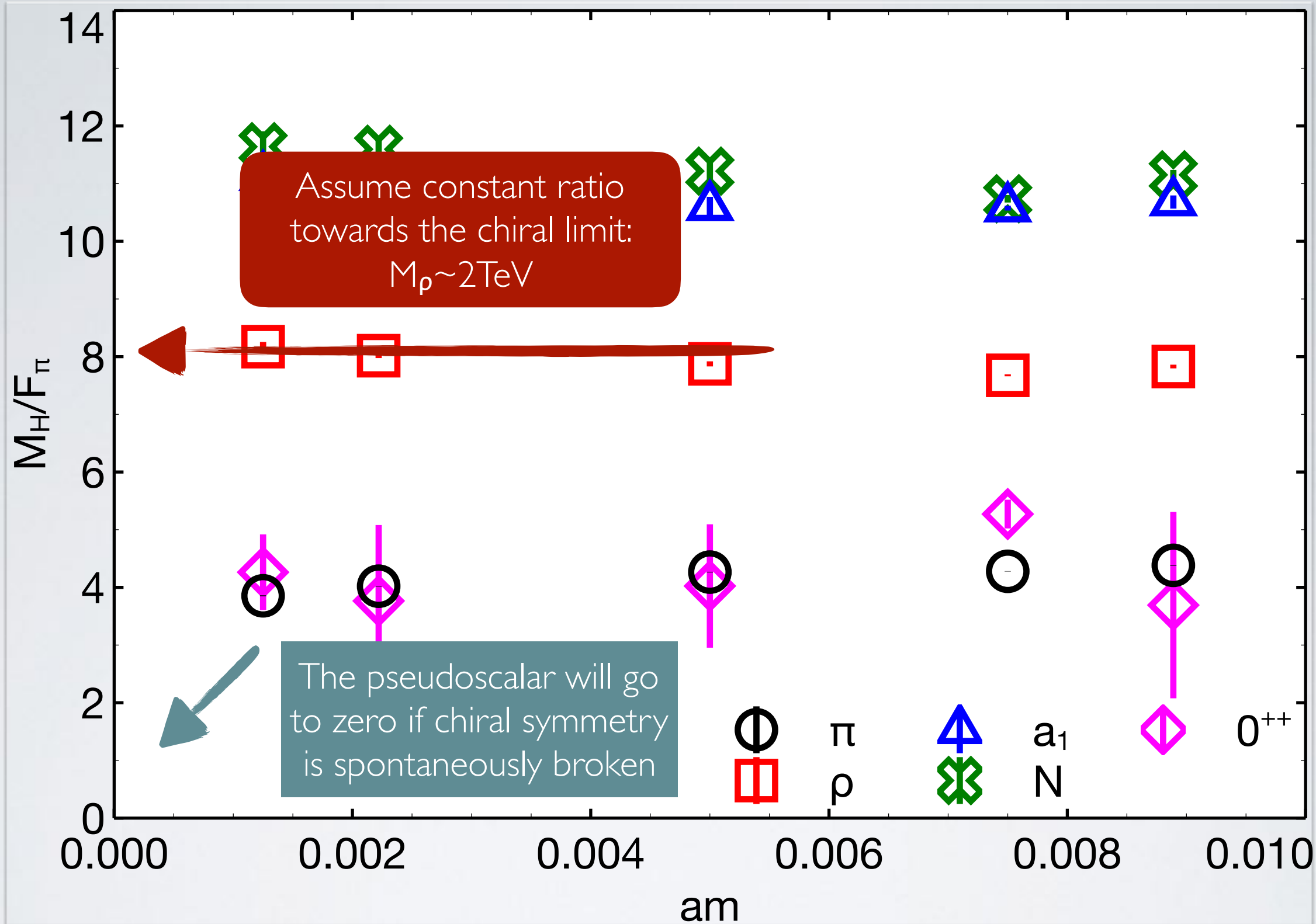
Assume
 $F_\pi \sim 246 \text{ GeV}$



Similar to
QCD?

LSD arxiv:1601.04027 [scalar update, preliminary]

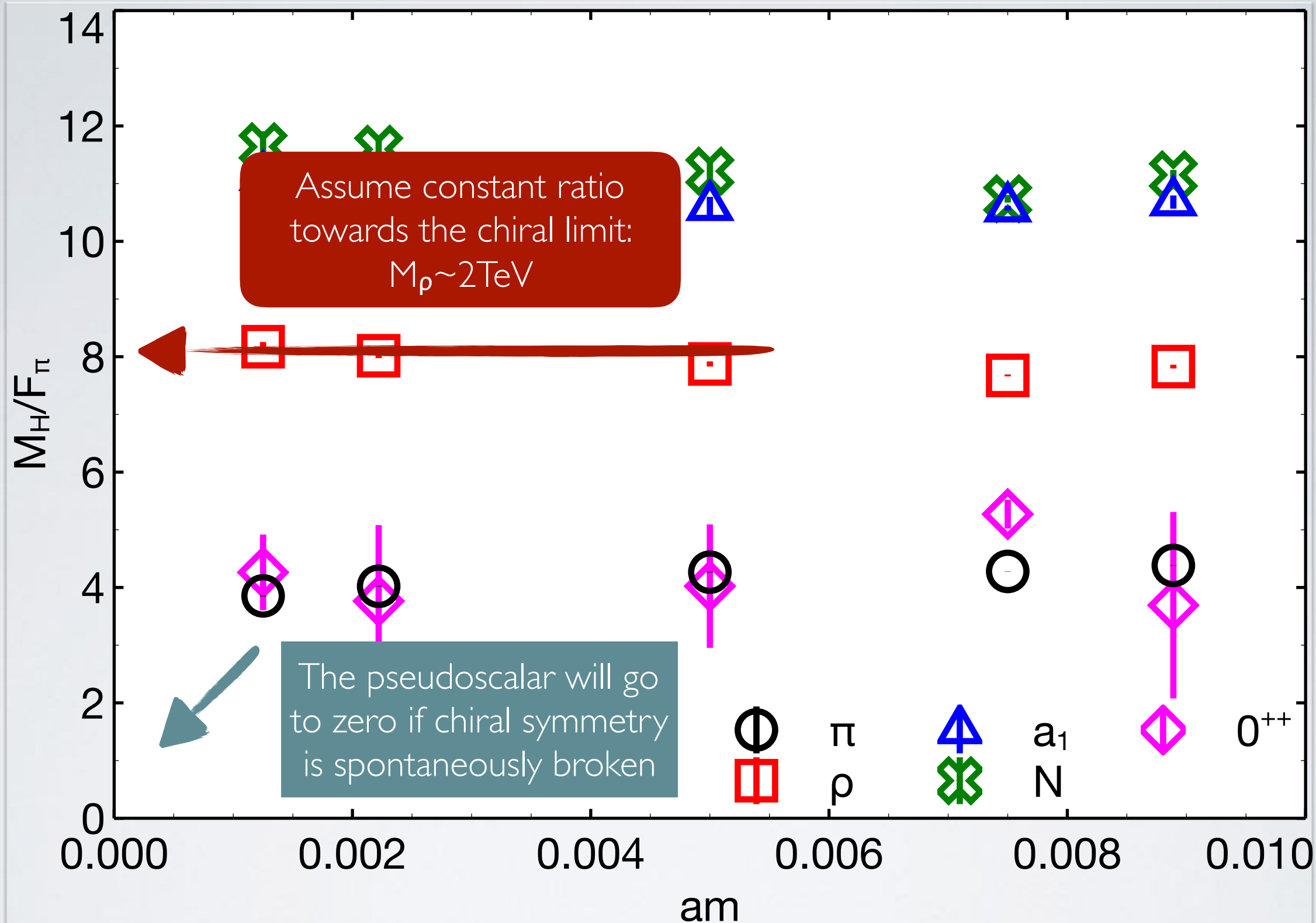
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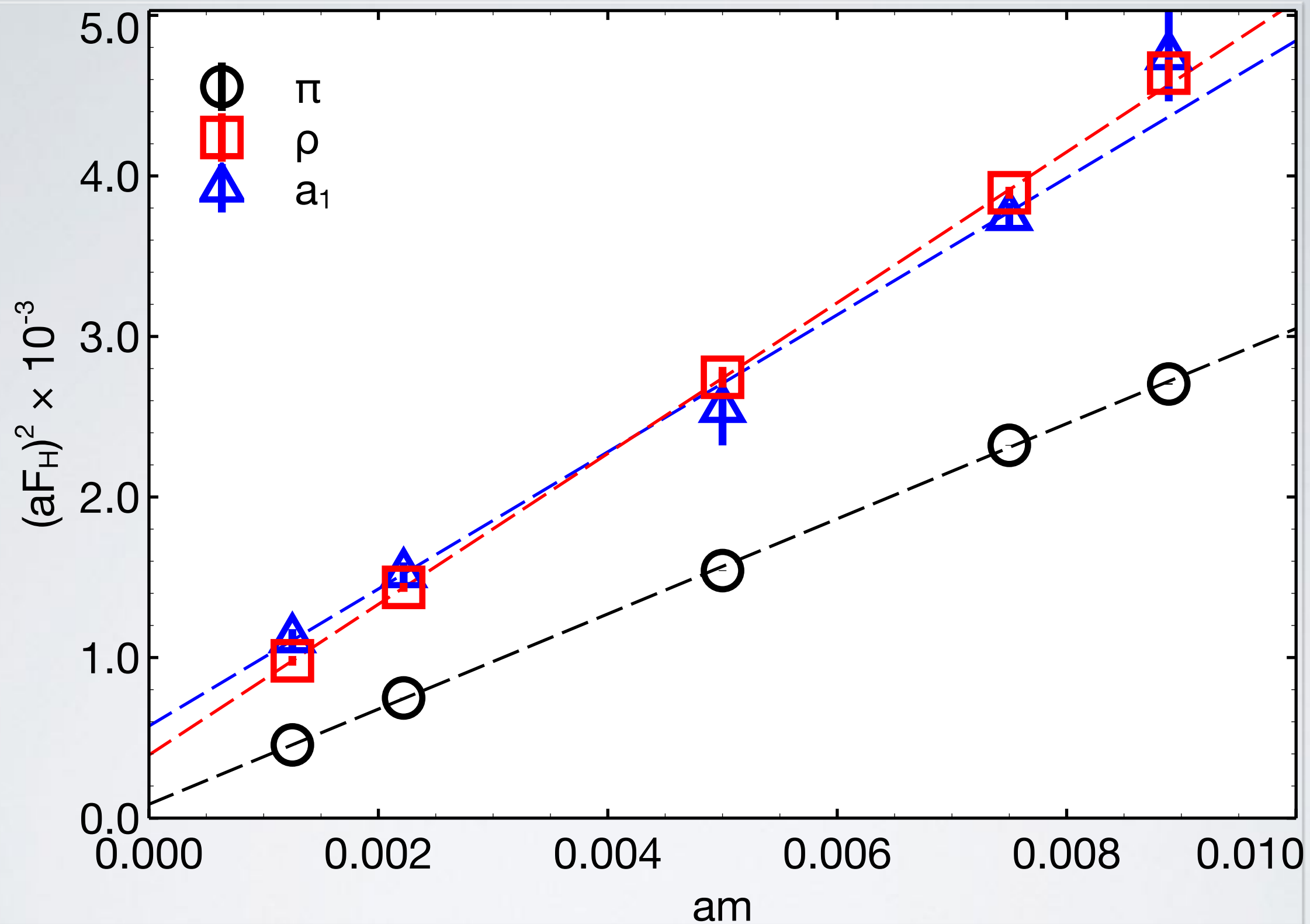


Important again: extrapolate towards the chiral limit using an appropriate effective low-energy theory

LSD arxiv:1601.04027 [scalar update, preliminary]

Assume $F_\pi \sim 246\text{GeV}$

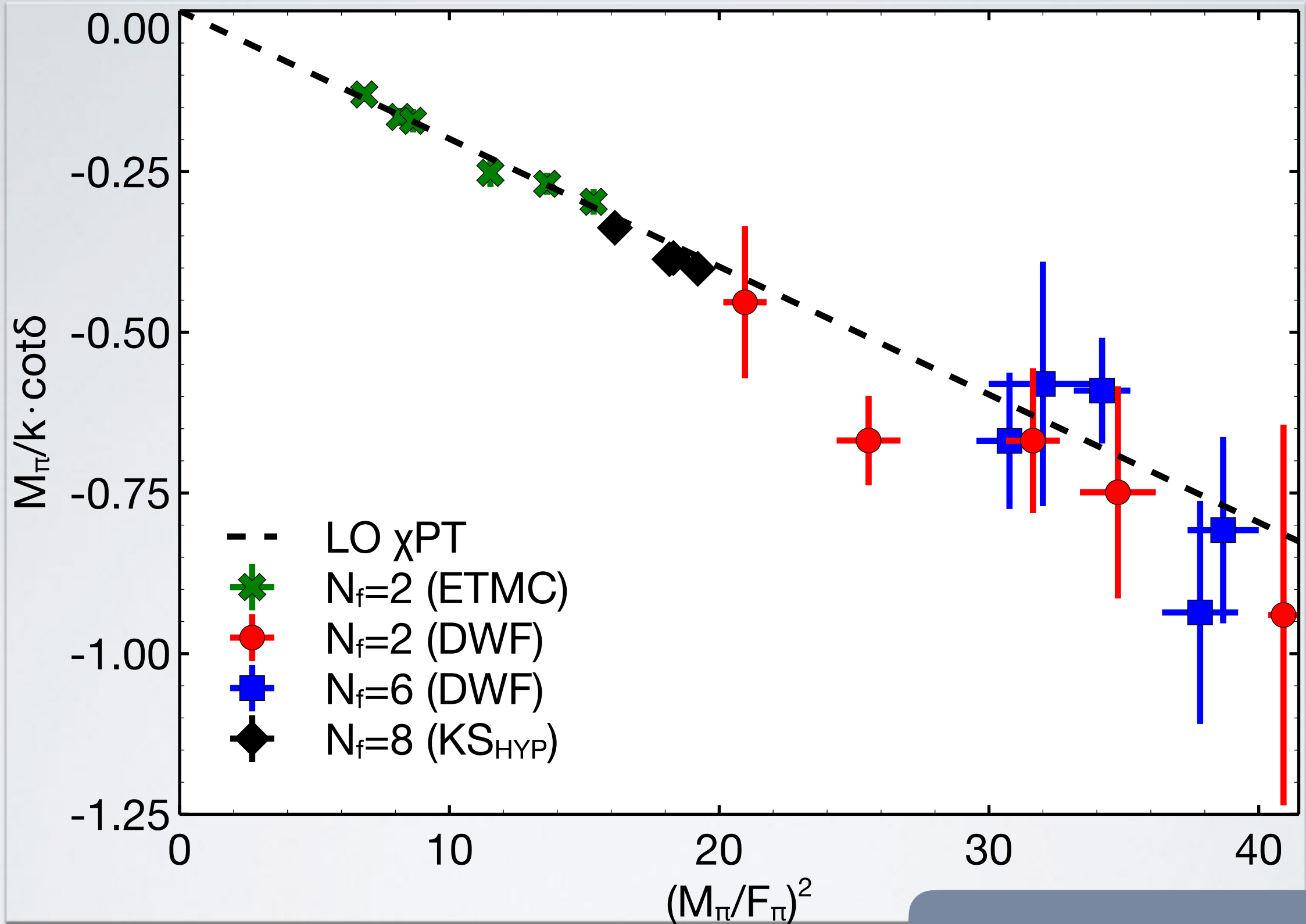
Similar to QCD?



Useful to study vector meson width in the VMD picture

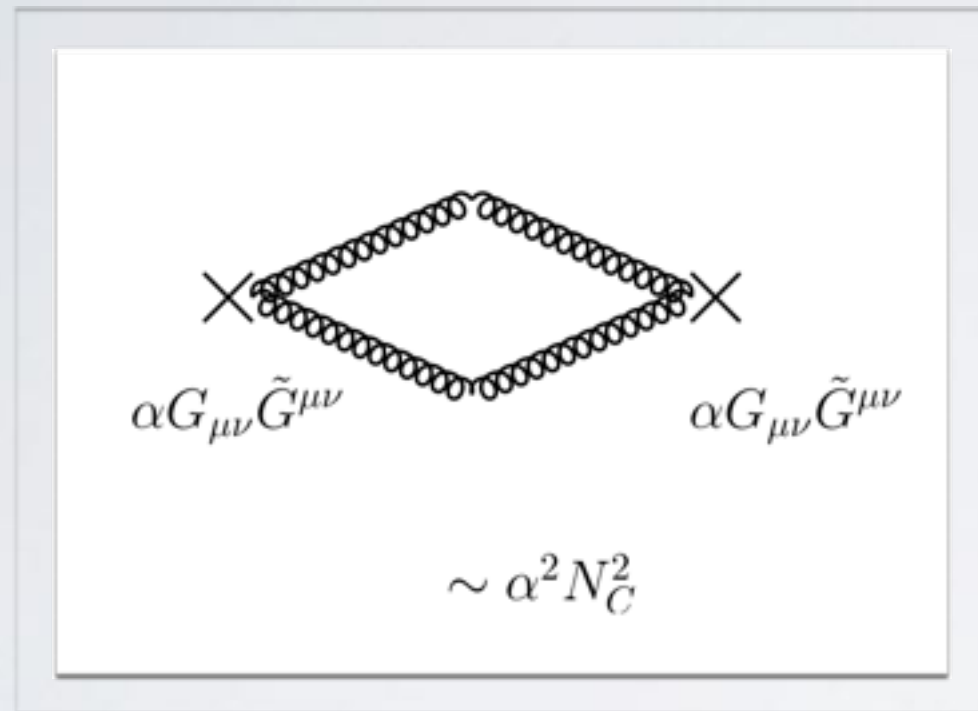
LSD arxiv:1601.04027

Useful to study EFT predictions
[Appelquist et al. 1702.04410]

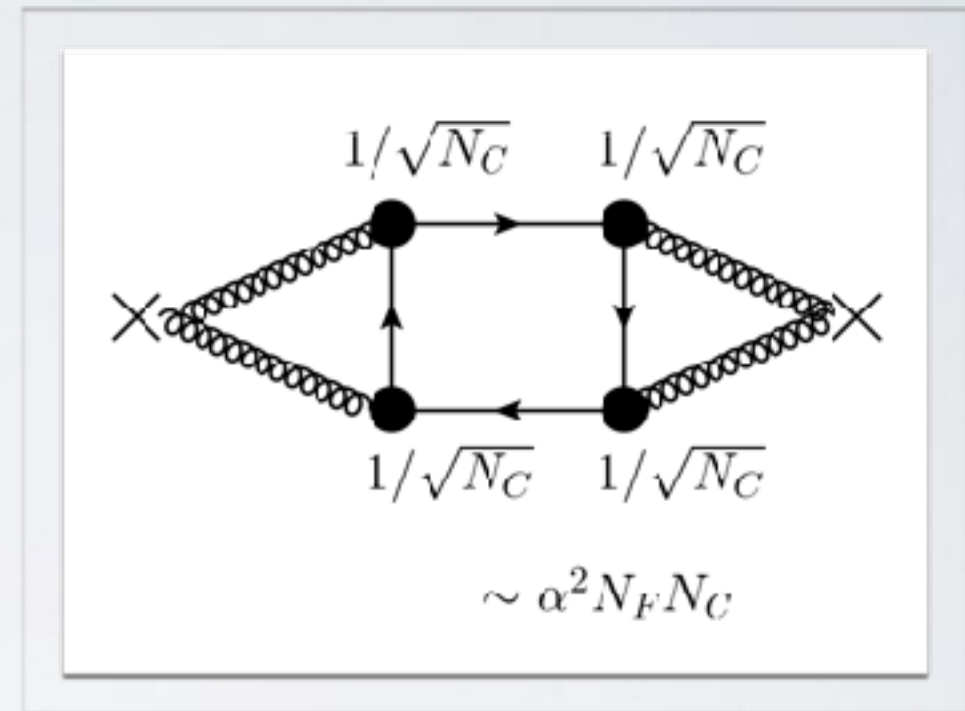


Scattering observables are useful
to constrain EFT terms

WITTEN-VENEZIANO



gluon loop



fermion loop

Regular Witten-Veneziano

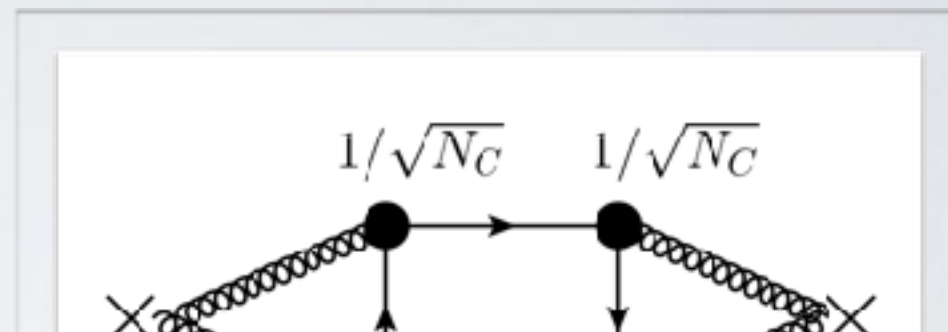
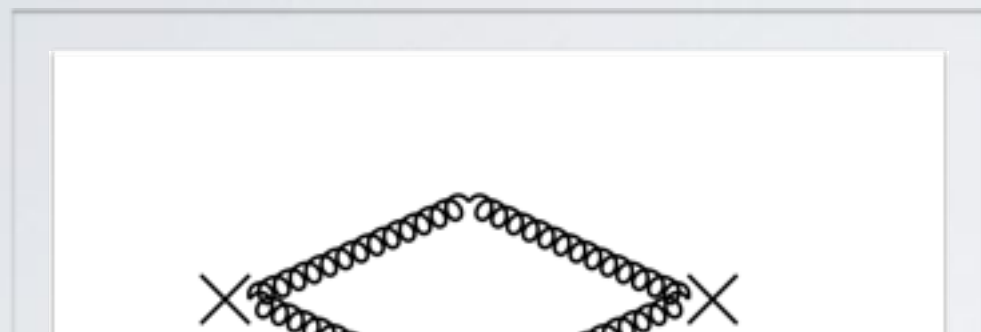
$$\frac{N_f}{N_c} \ll 1$$

$$\lambda = N_c g^2 = \text{fixed} \quad N_c \rightarrow \infty$$

“anti-”Witten-Veneziano

$$\frac{N_f}{N_c} \gg 1$$

WITTEN-VENEZIANO



lattice results seem to align with expectations from ladder-SD analyses [arxiv:1508.07688]: a flavor-singlet scalar in a near conformal theory is light similarly to a flavor-singlet pseudoscalar in the Witten-Veneziano limit, but a flavor-singlet pseudoscalar is heavier in the “anti”-Witten-Veneziano limit (large N_f/N_c)

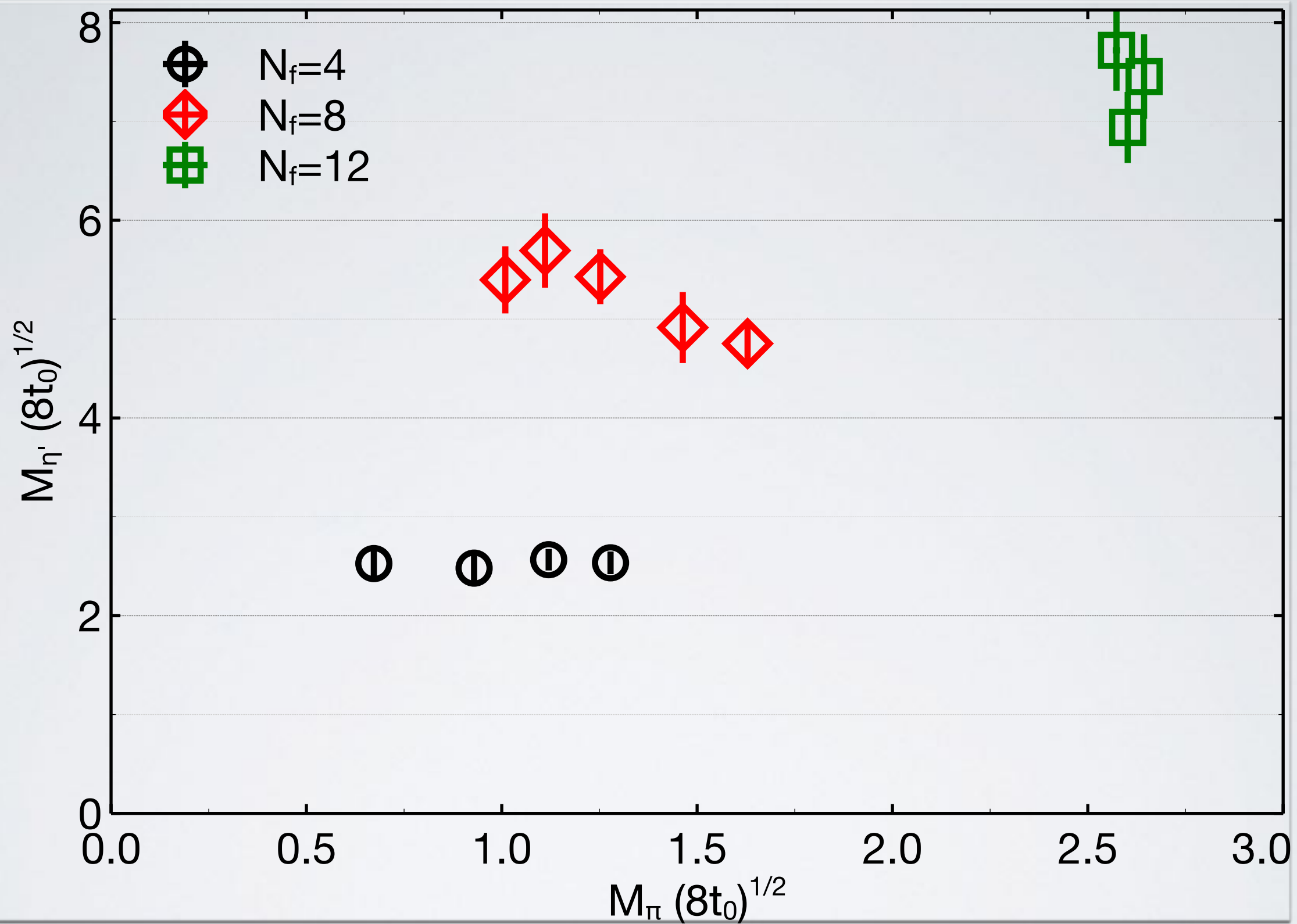
Regular Witten-Veneziano

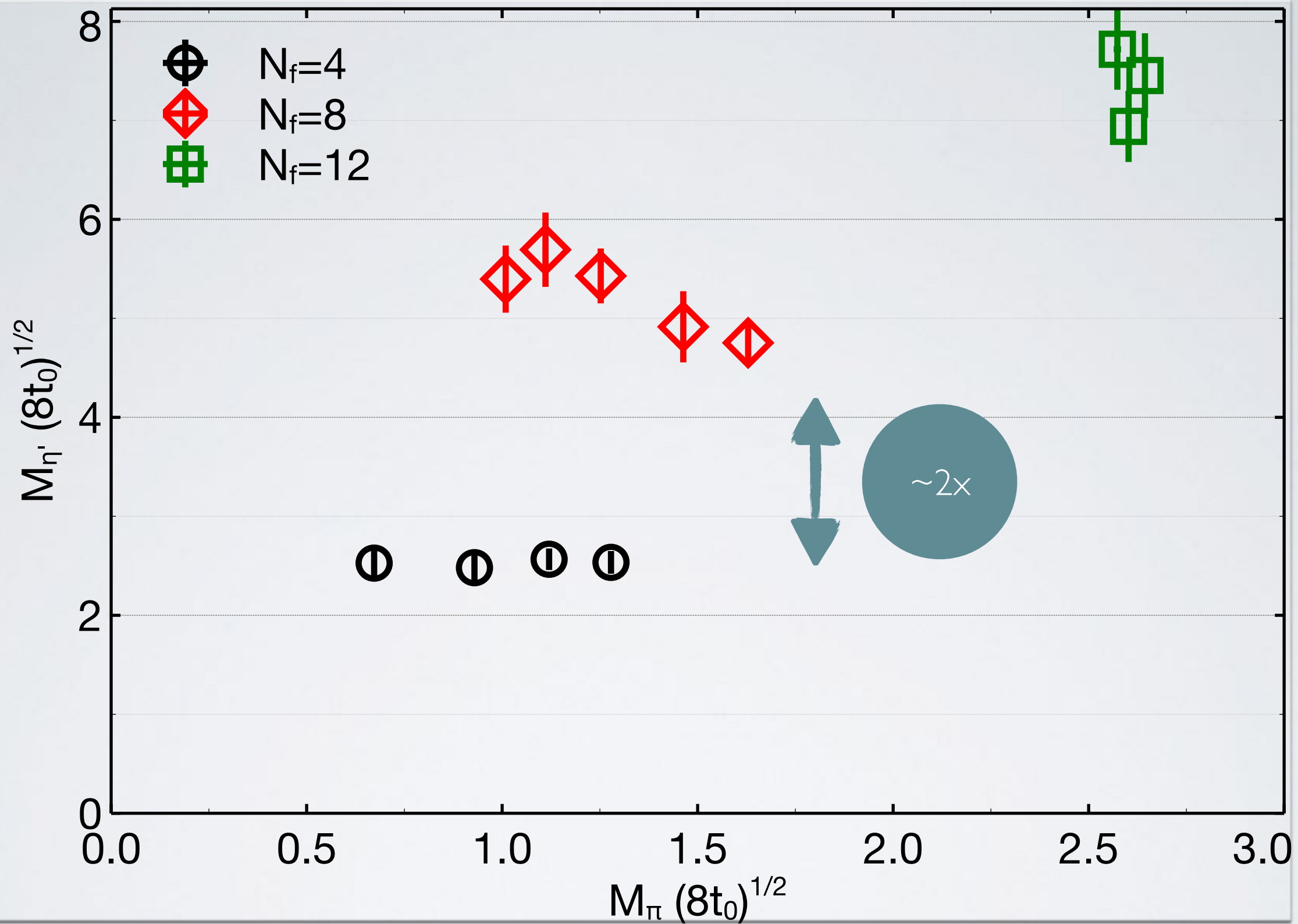
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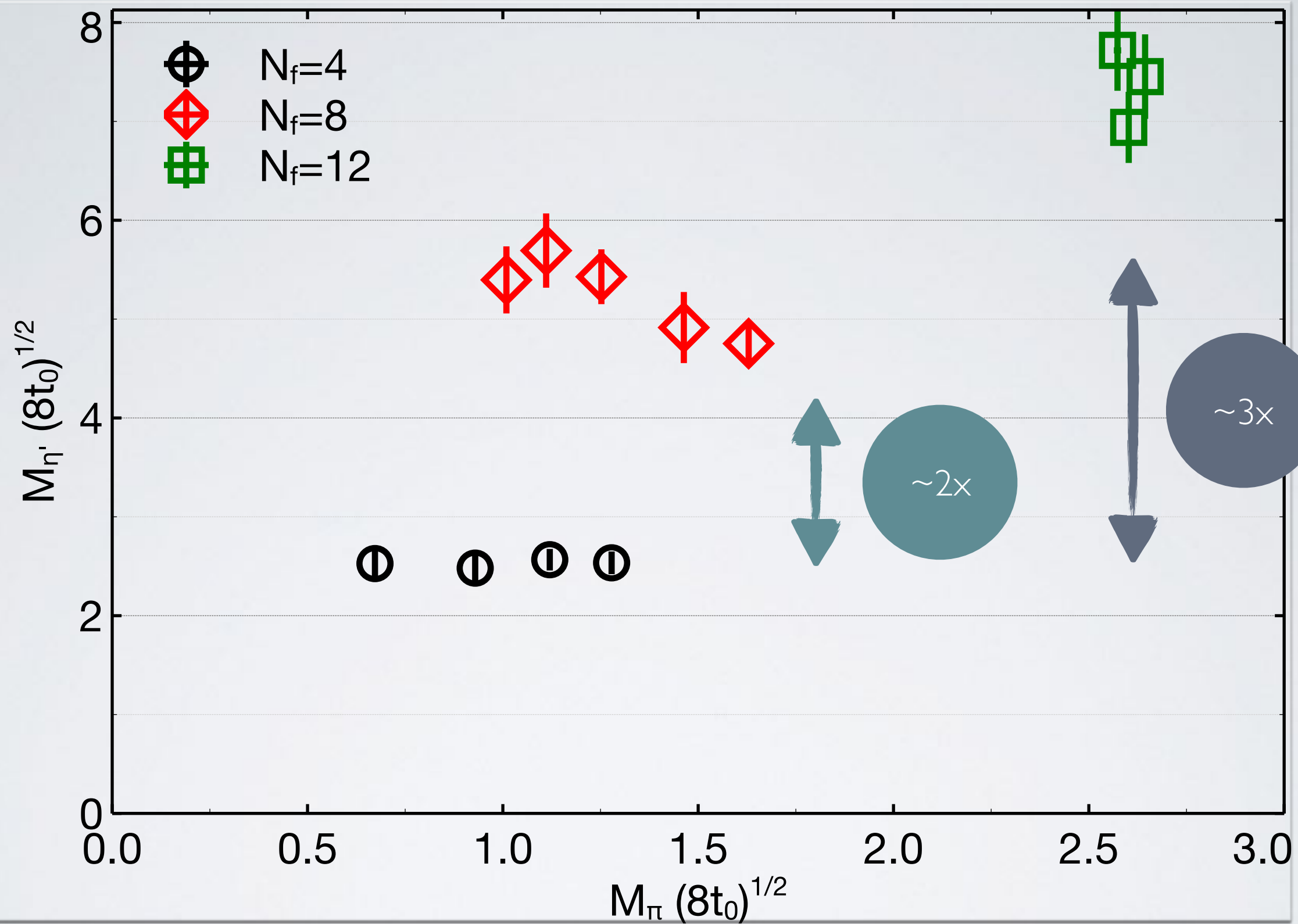
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“anti-”Witten-Veneziano

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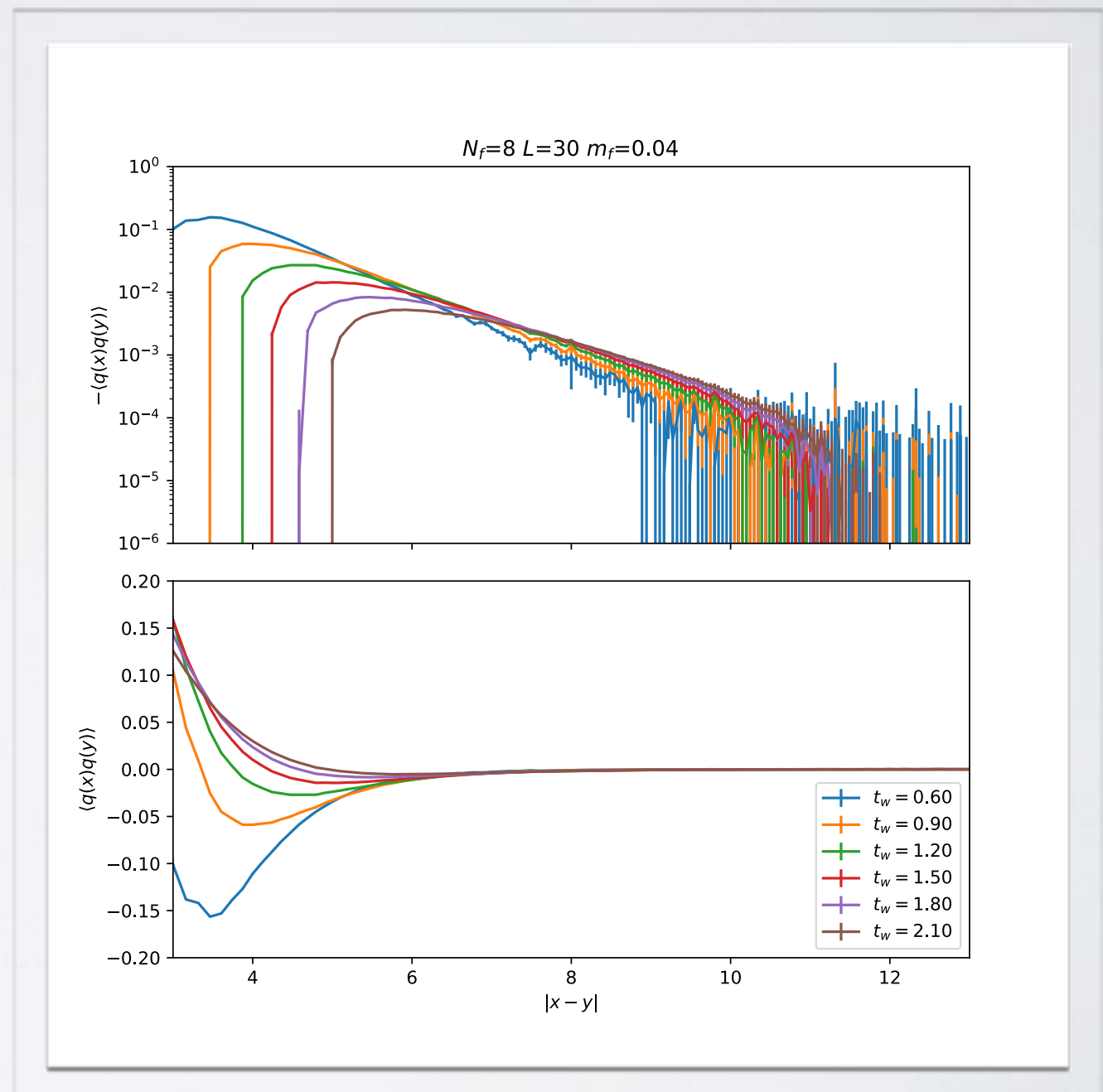






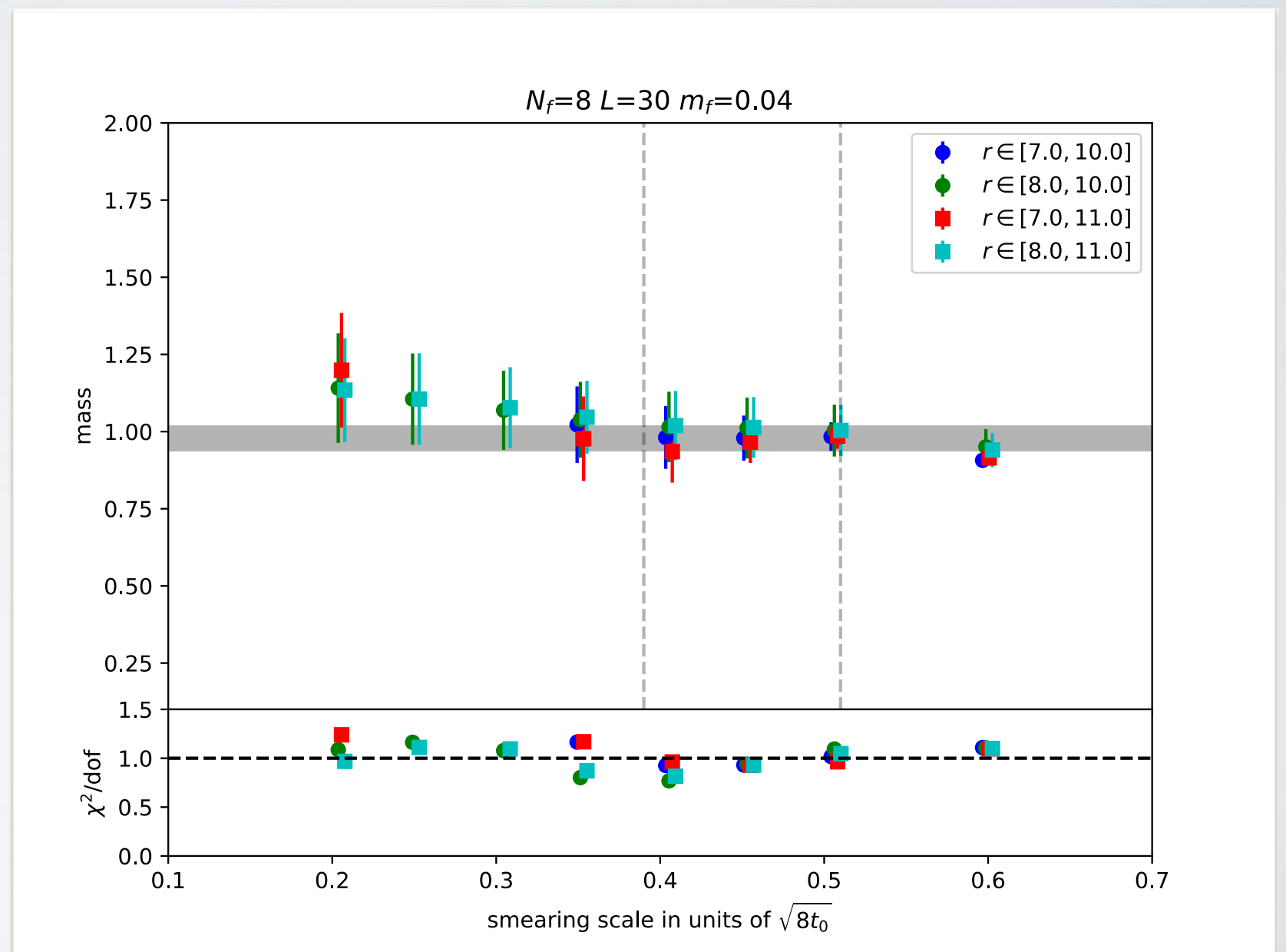
METHODOLOGY FOR 0^{-+}

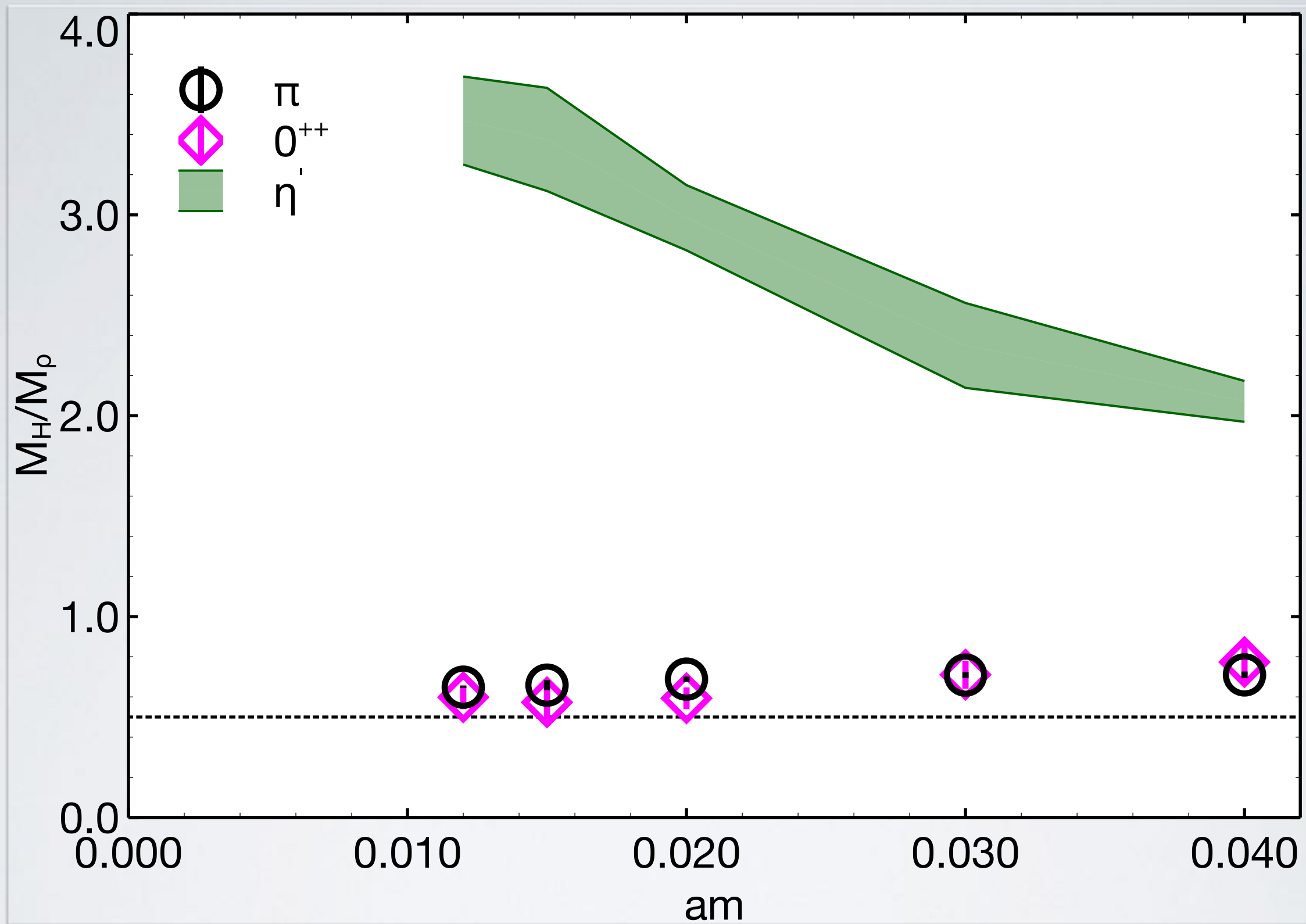
- Use a **gluonic operator** with 0^{-+} quantum numbers: topological charge density
- Use **Wilson flow smearing** as a technique to ameliorate the signal-to-noise problem
- Entirely similar to previous studies in SU(3) YM [arxiv: 1409.6459] and QCD [arxiv: 1509.00944]
- Main difficulty is estimating the systematics due to smearing and excited states

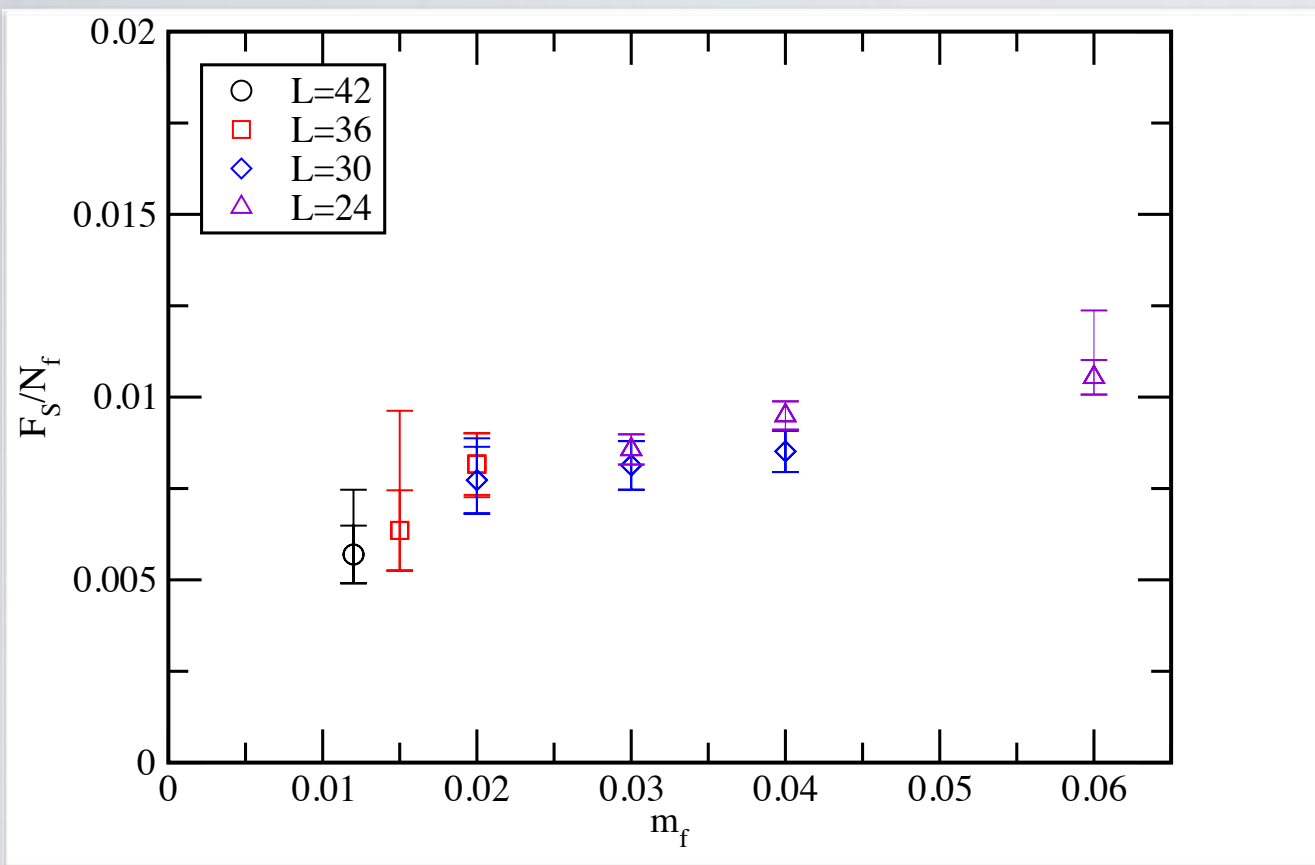


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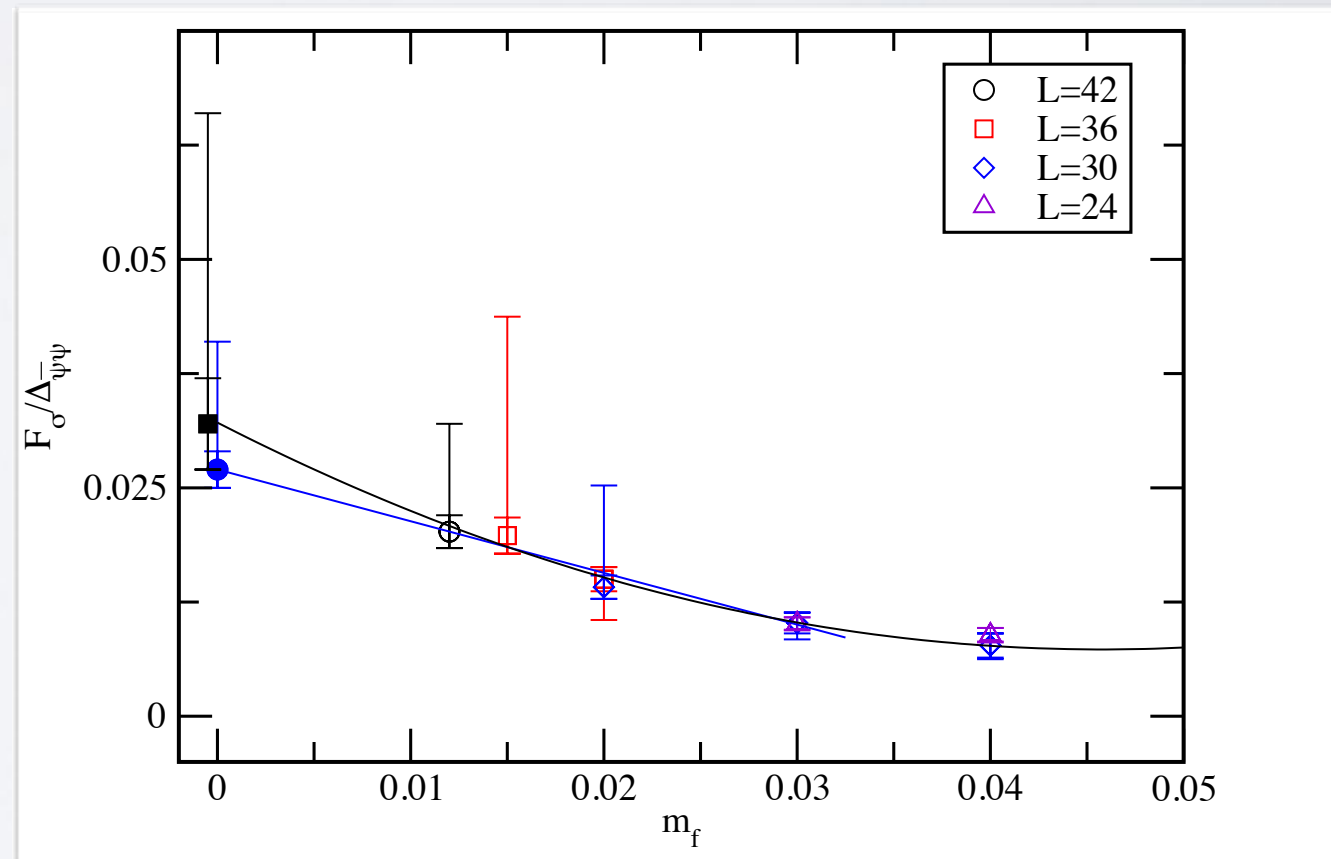


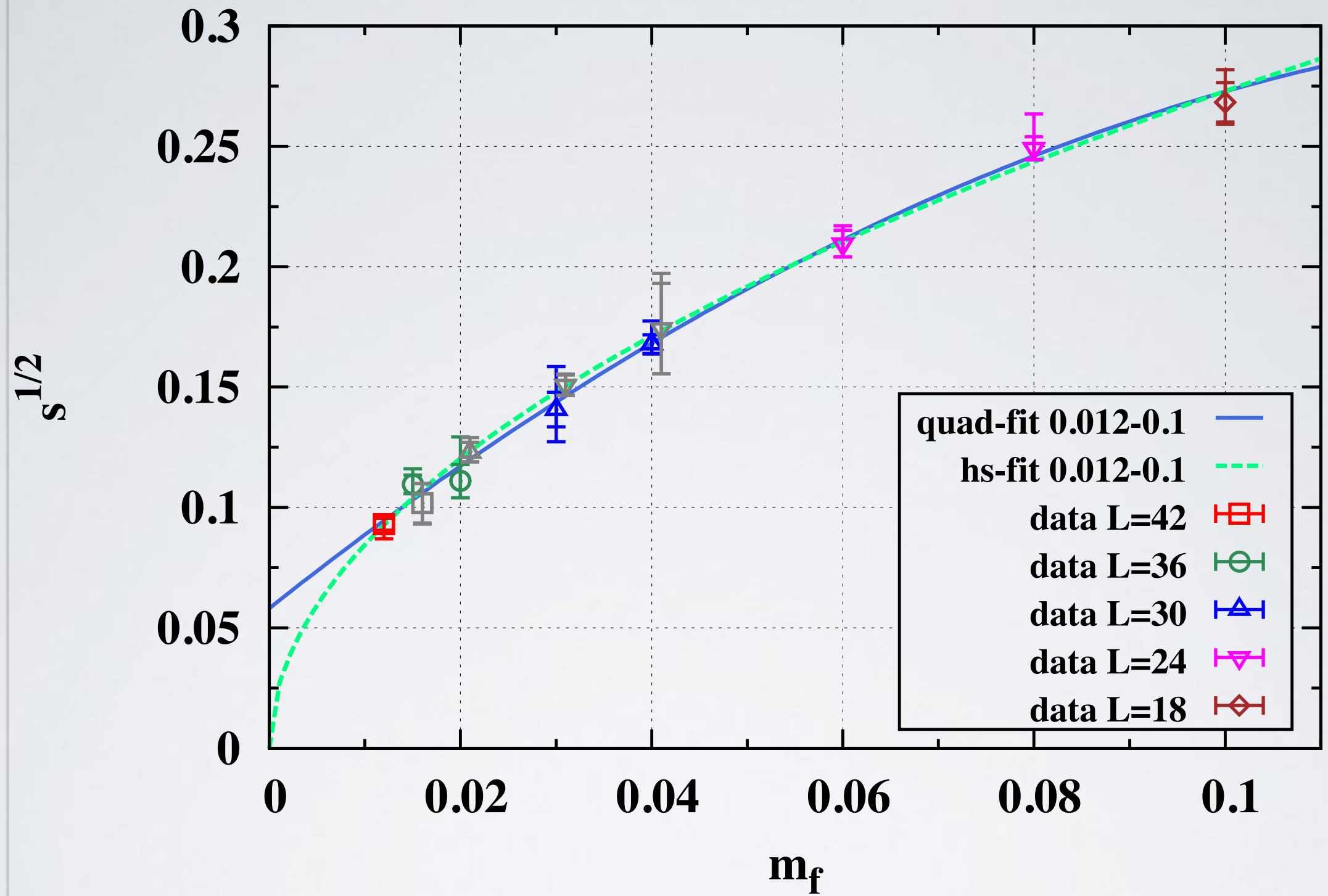


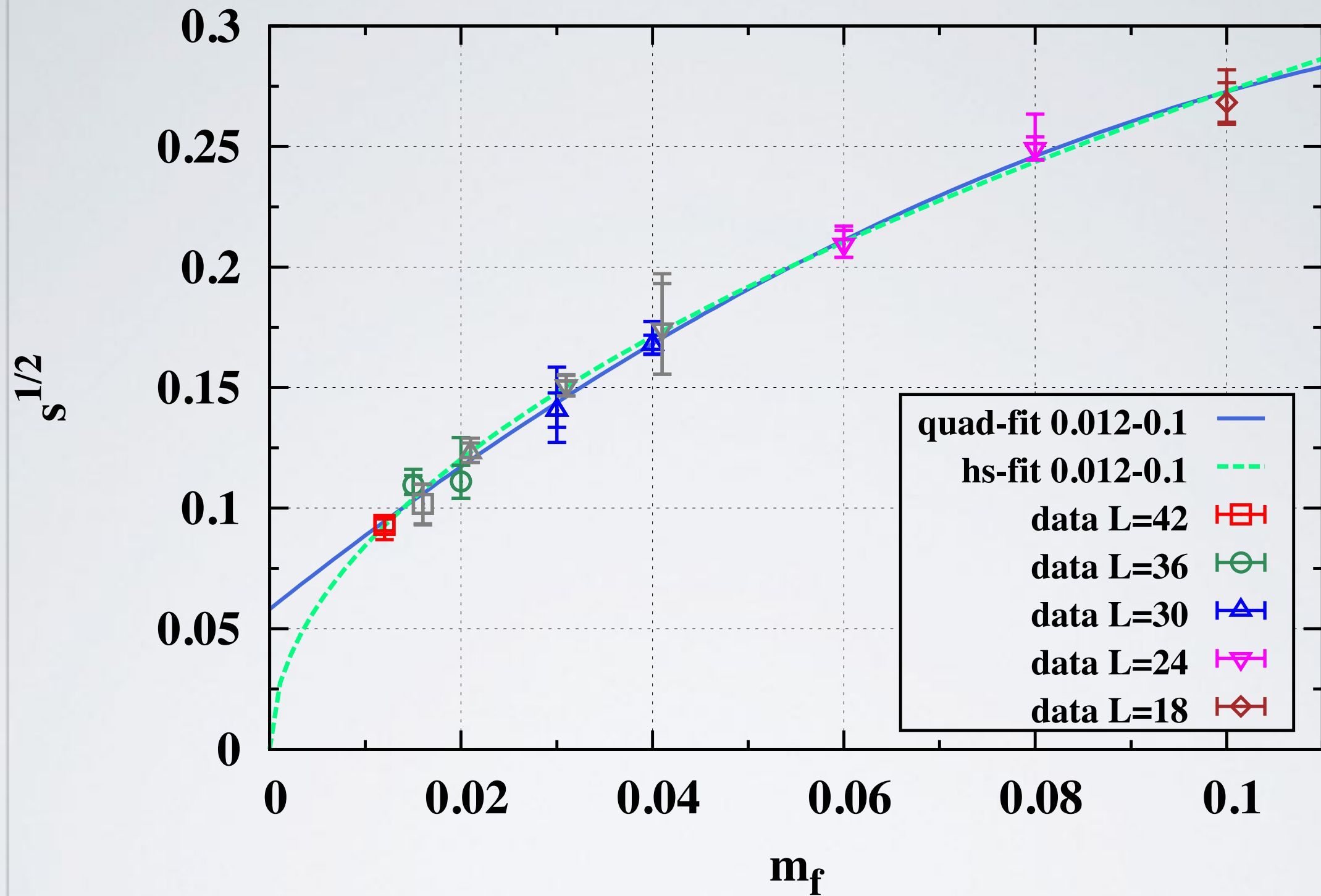


$$\langle 0 | m_f O_S(0,0) | \sigma(0) \rangle = F_S M_\sigma^2$$

$$F_S F_\sigma M_\sigma^2 = -\Delta_{\bar{\psi}\psi} m_f \sum_i^{N_f} \langle \bar{\psi}_i \psi_i \rangle$$

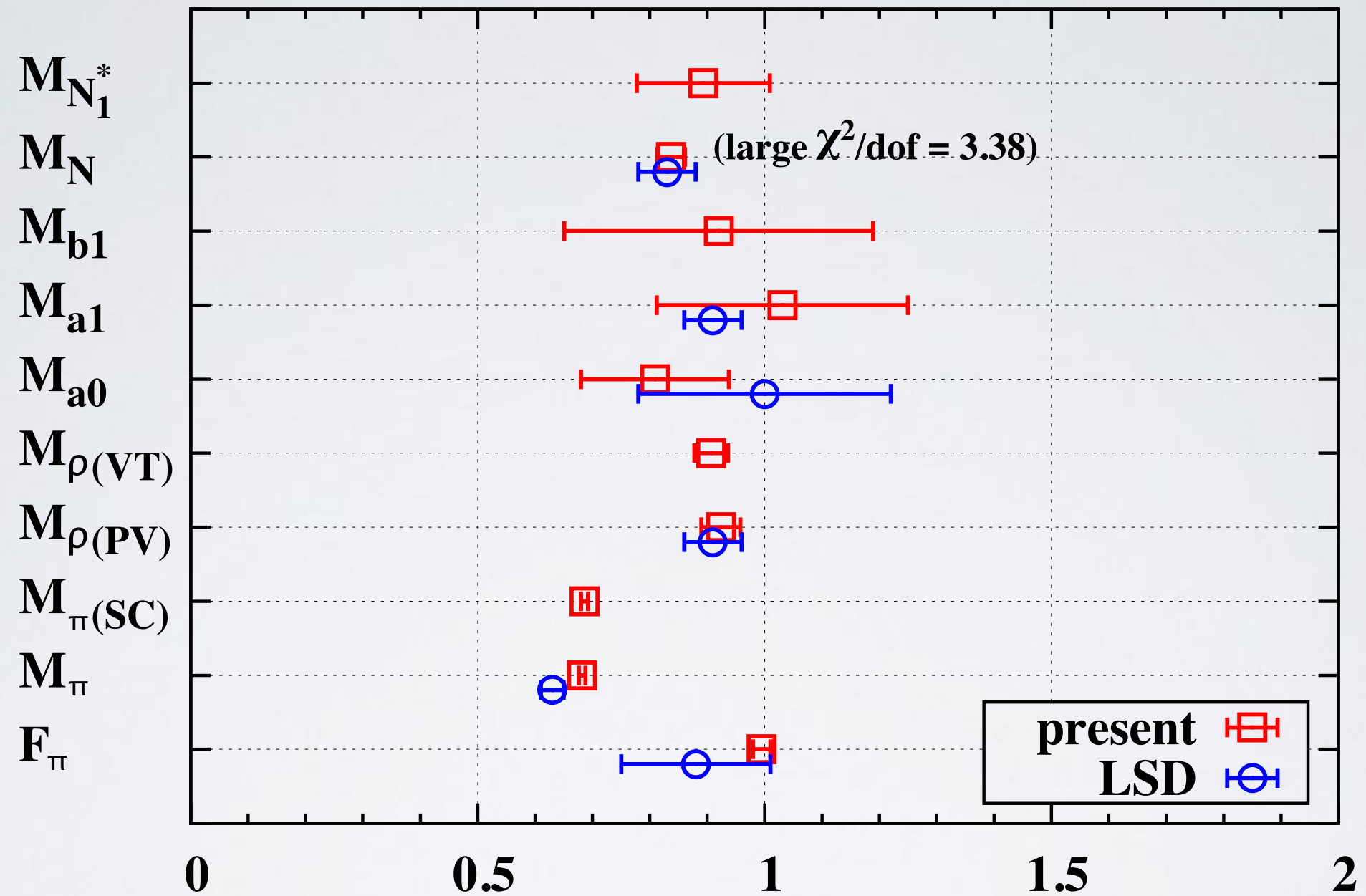




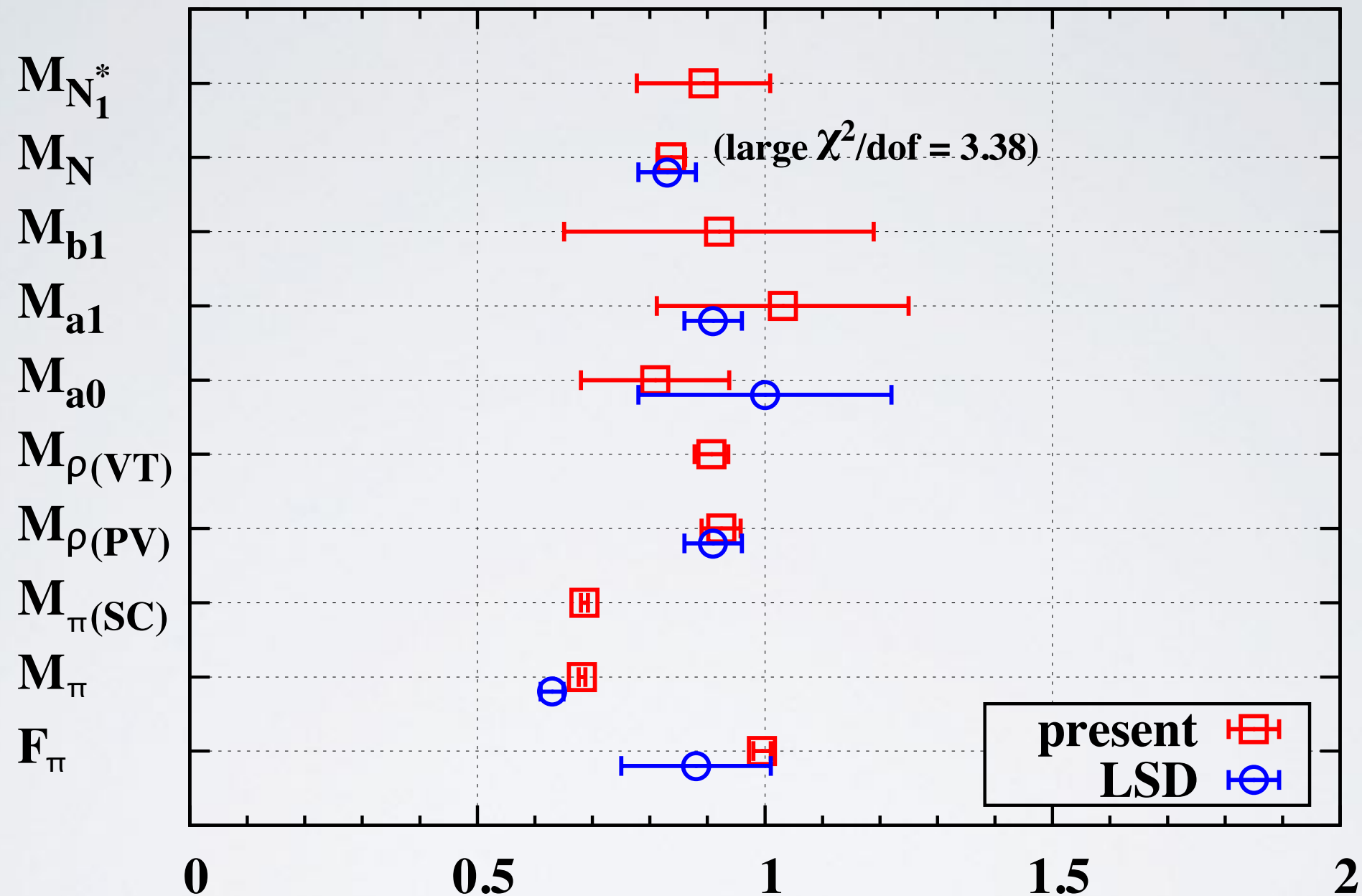


Not able to distinguish between
hyper scaling fit with $\gamma \sim 0.96(6)$
and quadratic fit with finite intercept $\neq 0$

Fit: $M_H = C^{M_H} m_f^{1/(1+\gamma)}$, $m_f = 0.012 - 0.03$



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All the states studied in the spectrum have $\gamma \sim 1$
except for the pseudoscalar.
Comparison with different lattice discretizations:
staggered and domain wall fermions