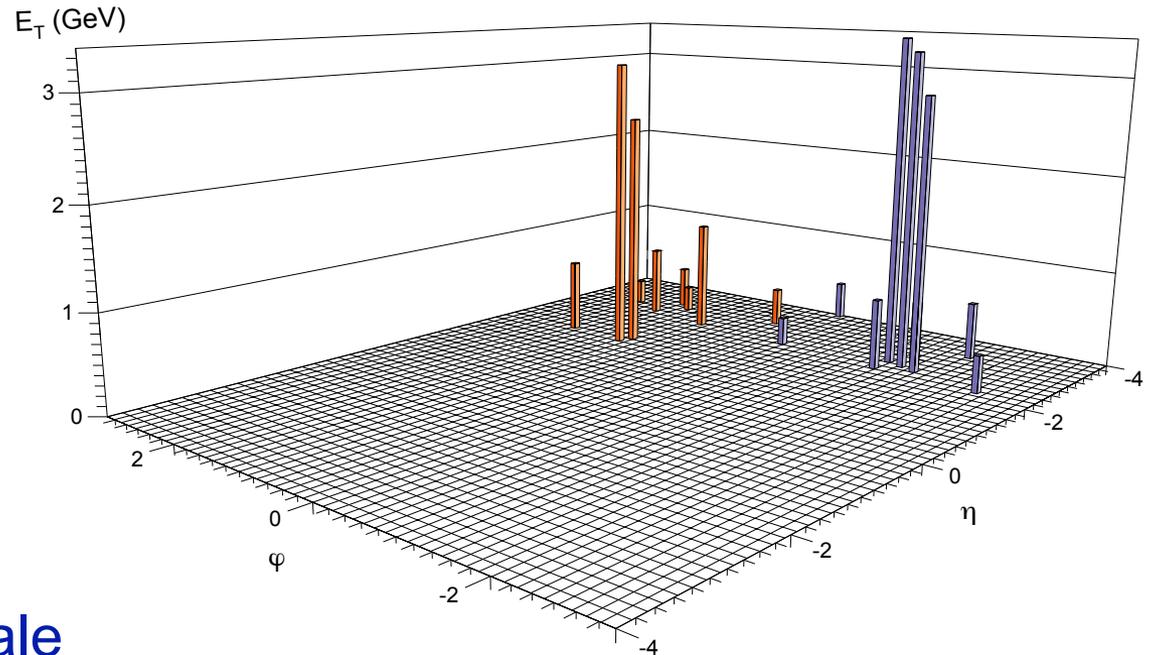


Elliptic Azimuthal Anisotropy in Dijet Production



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and A. Dumitru
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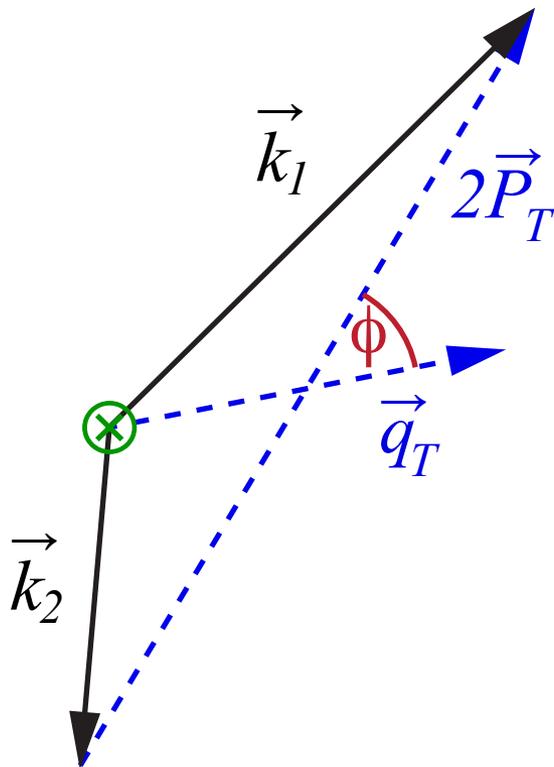
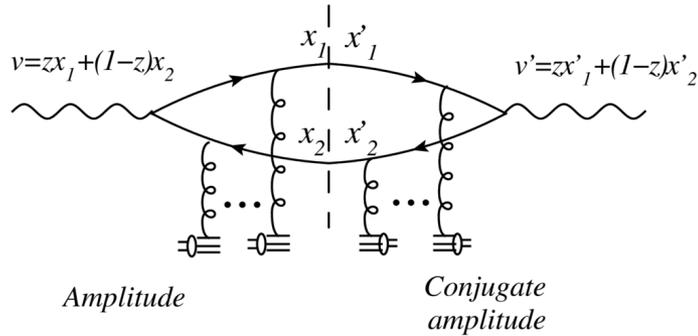
What Is It About?

- Thus far, focus on quark TMDs while the available studies of gluon TMDs are sparse
- Of particular interest: WW distribution of linearly polarized gluons inside an unpolarized hadron, $h_T^{(1)}$
- These gluon distributions play also central role in small- x saturation phenomena.

$h_T^{(1)}$ can be accessed through measuring azimuthal anisotropies in processes such as **jet pair (dijet) production** in $e+p$ and $e+A$ scattering.

- A. Metz and J. Zhou, Phys. Rev. D84 , 051503 (2011), arXiv:1105.1991.
D. Boer, P. J. Mulders, and C. Pisano, Phys. Rev. D80 , 094017 (2009), arXiv:0909.4652
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F. Dominguez, J.-W. Qiu, B.-W. Xiao, and F. Yuan, Phys. Rev. D85 , 045003 (2012), arXiv:1109.6293.
A. Dumitru, L. McLerran, and V. Skokov, Phys. Lett. B743 , 134 (2015), arXiv:1410.4844.
A. Dumitru and V. Skokov, Phys. Rev. D91 , 074006 (2015), arXiv:1411.6630.
A. Dumitru, T. Lappi, and V. Skokov, Phys. Rev. Lett. 115 , 252301 (2015), arXiv:1508.04438.
A. Dumitru and V. Skokov, Phys. Rev. D94 , 014030 (2016), arXiv:1605.02739.

Kinematics: Dijets in γ^*A



Key observables: P_T and q_T

- the difference in momenta (imbalance)

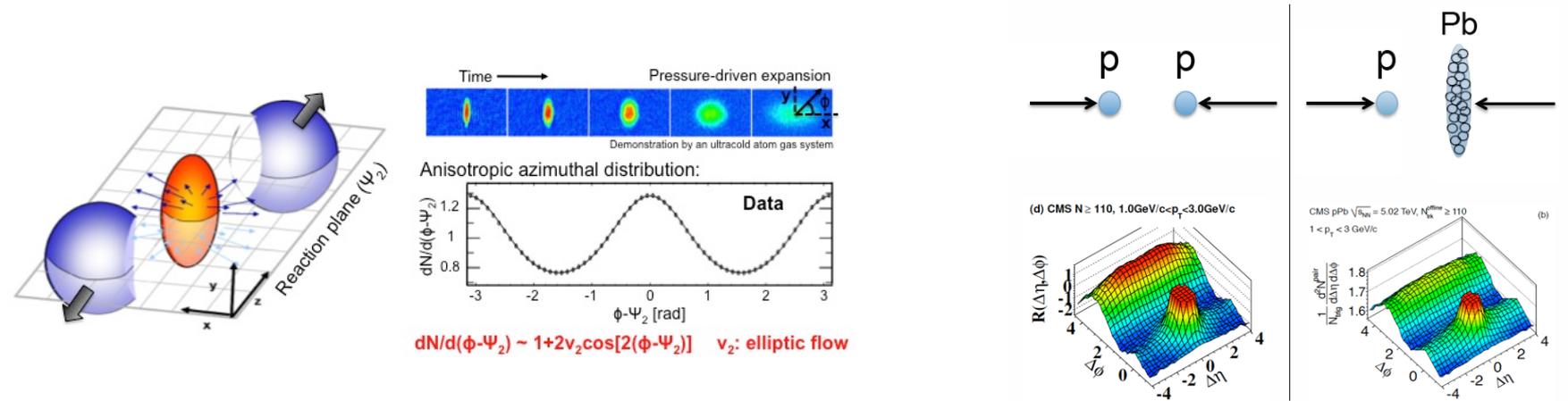
$$\vec{q}_T = \vec{k}_1 + \vec{k}_2$$

- the average transverse momentum of the jets

$$\vec{P}_T = (1 - z)\vec{k}_1 - z\vec{k}_2$$

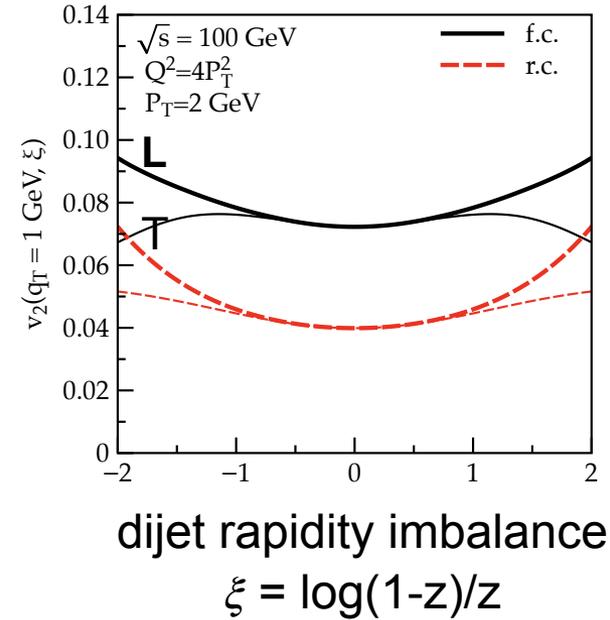
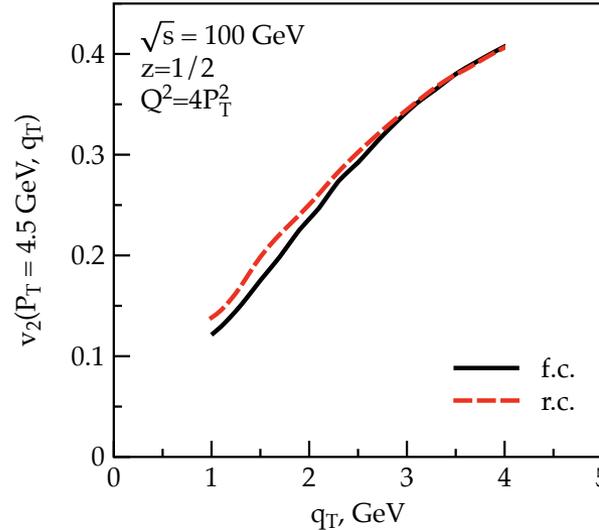
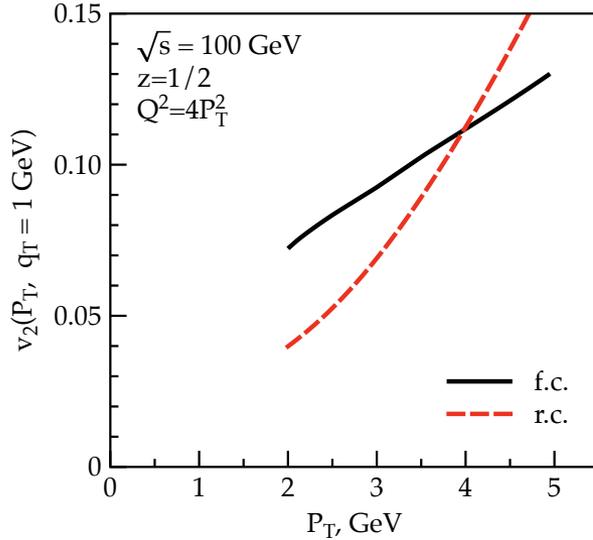
- ϕ is angle between P_T and q_T
- This study: work in “correlation limit” $P_T \gg q_T$

Anisotropy (v_2)



- RHIC: Strong elliptic flow in A+A established presence of QGP. LHC: p+p and p+Pb collisions revealed long-range near-side azimuthal angular correlations in high multiplicity events.
- They are quantified by $v_2 = \langle \cos 2\phi \rangle$
- Dijet production in e+A at high energies originates from long-ranged eikonal interactions \Rightarrow parameterizing the azimuthal structure arising from the linearly polarized gluon distribution also in terms of v_2

Theory Prediction: Substantial v_2



- Studies on parton level
 - ▶ substantial v_2 ($> 10\%$)
 - ▶ different v_2 for long. and trans. polarized γ^*

- Goal:

$$v_2^L = \frac{1}{2} \frac{h_{\perp}^{(1)}(x, q_{\perp})}{G^{(1)}(x, q_{\perp})}, \quad v_2^T = -\frac{\epsilon_f^2 P_{\perp}^2}{\epsilon_f^4 + P_{\perp}^4} \frac{h_{\perp}^{(1)}(x, q_{\perp})}{G^{(1)}(x, q_{\perp})}$$

Theory → Experiment (EIC)

Theory	Experiment
parton level	jets does v_2 survive showering and jet finding?
no backgrounds	various background sources, does signal survive?
γ^* : L and T distinguished	Cannot experimentally distinguish L and T
both partons $\eta > 0$	Does jet kinematics reflect original parton directions

Exciting theory but need to show that measurement is feasible

Simulations: Event Generation

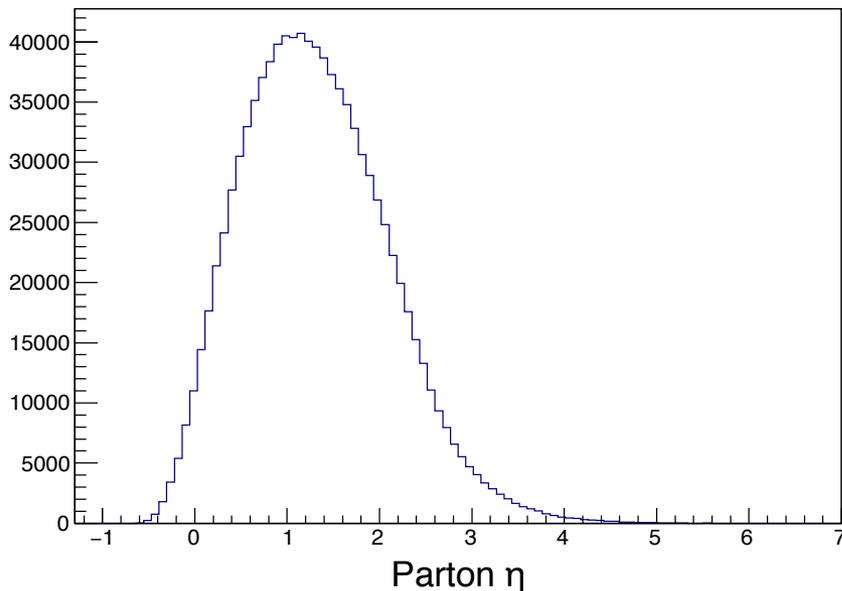
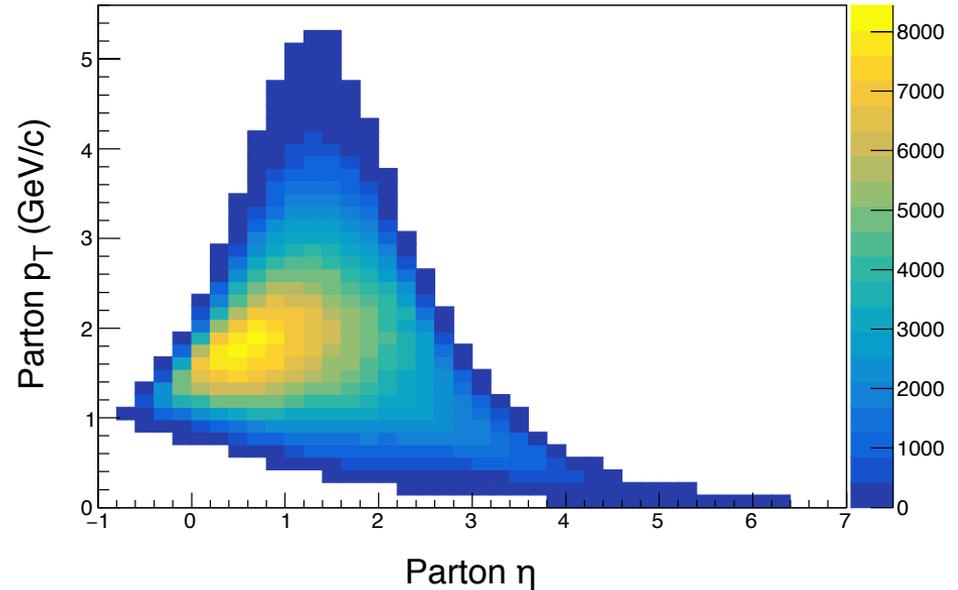
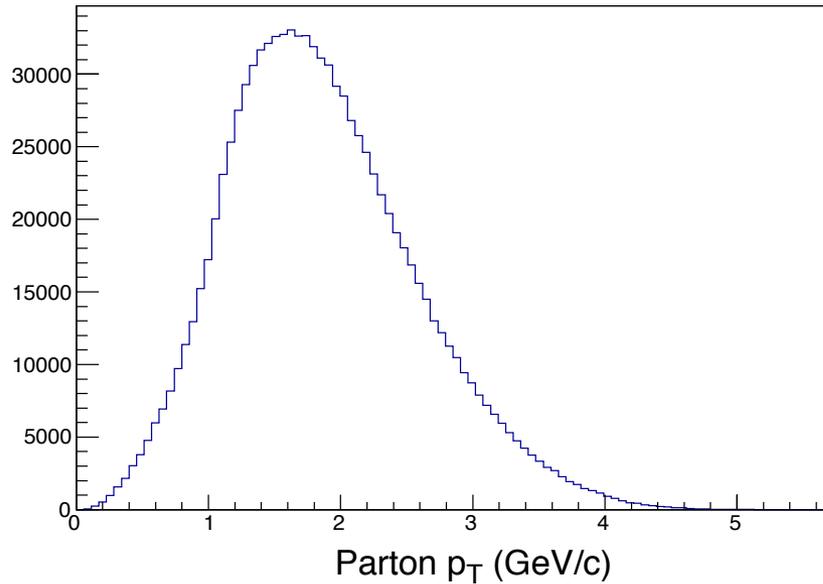
- Event generator: MCDijet

- ▶ V. Skokov, A. Dumitru, TU, <https://github.com/vskokov/>
- ▶ $q\bar{q}$ dijet at LO in eA collisions
- ▶ Determines the distribution of linearly polarized gluons of a dense target at small- x by solving the B-JIMWLK renormalization evolution equation
- ▶ Output:
 - x, Q^2, \dots
 - partons $\mathbf{p}_1, \mathbf{p}_2$

- Parton showering \rightarrow Jets: Pythia8

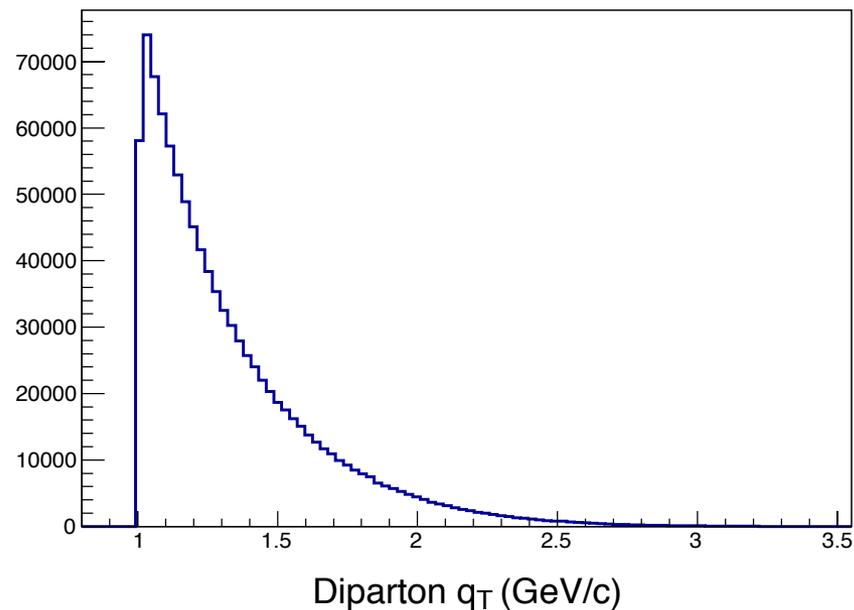
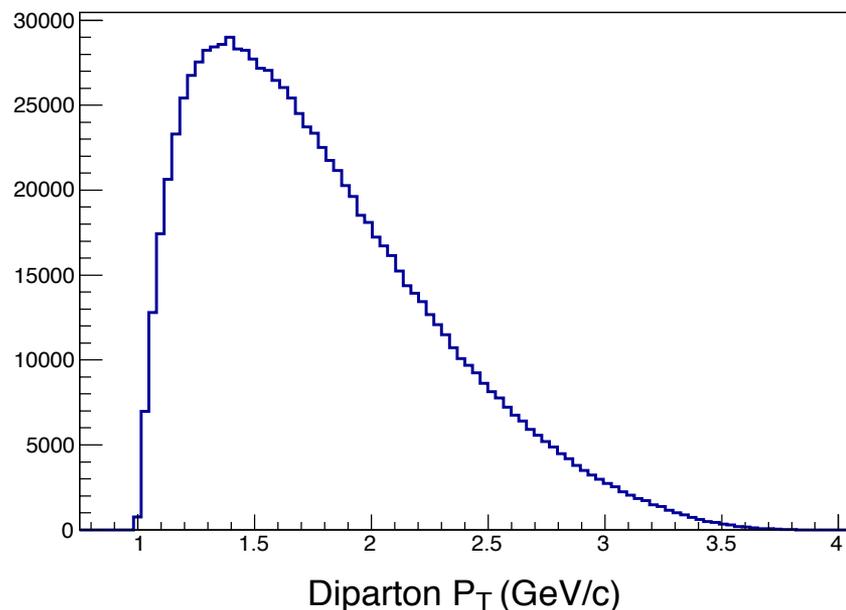
- ▶ input: $q\bar{q}$ pair
- ▶ output: Pythia event record

Parton Kinematics



- Here: $\sqrt{s} = 90$ GeV e+Au
- $4 < Q^2 < 81$ GeV²
- Partons
 - ▶ $p_T < 5$ GeV/c, $\langle p_T \rangle \sim 1.8$ GeV/c
 - ▶ $0 < \eta < 3$
- Not optimal for jet finding

Diparton Kinematics

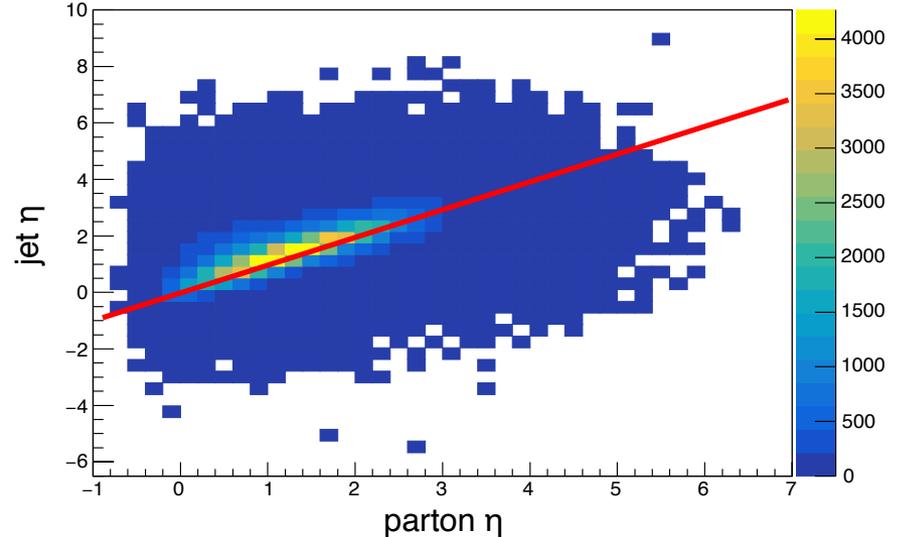
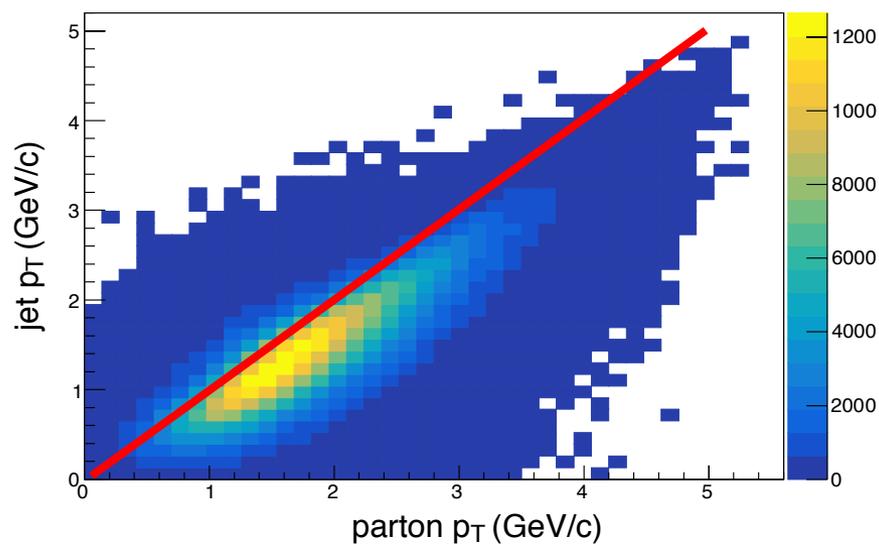


- Bulk $P_T < 3.5$ GeV/c and $q_T < 2$ GeV/c
- Correlation limit $P_T \gg q_T$ does cost lots of signal
- Note, cross-section and efficiencies do not matter (to some extent) only anisotropy

Jet Finding

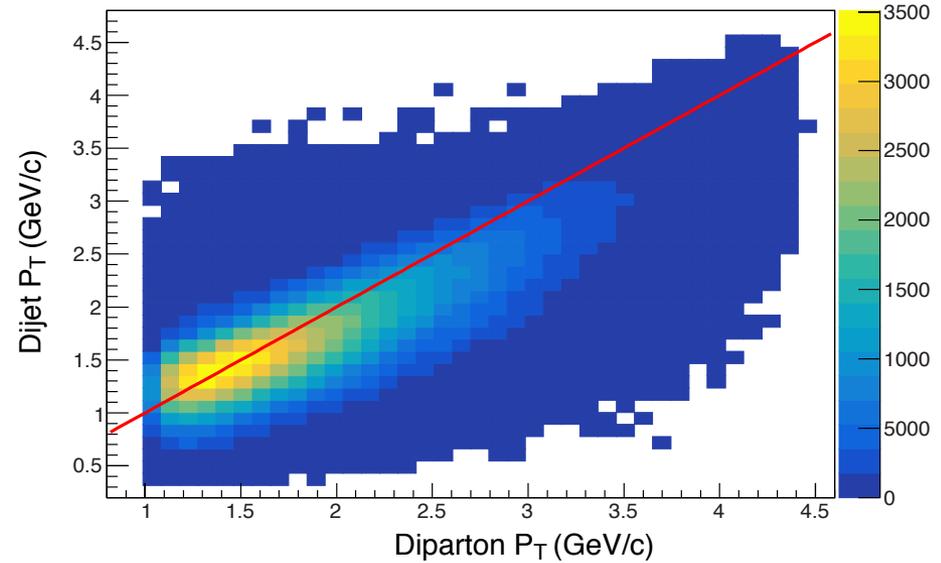
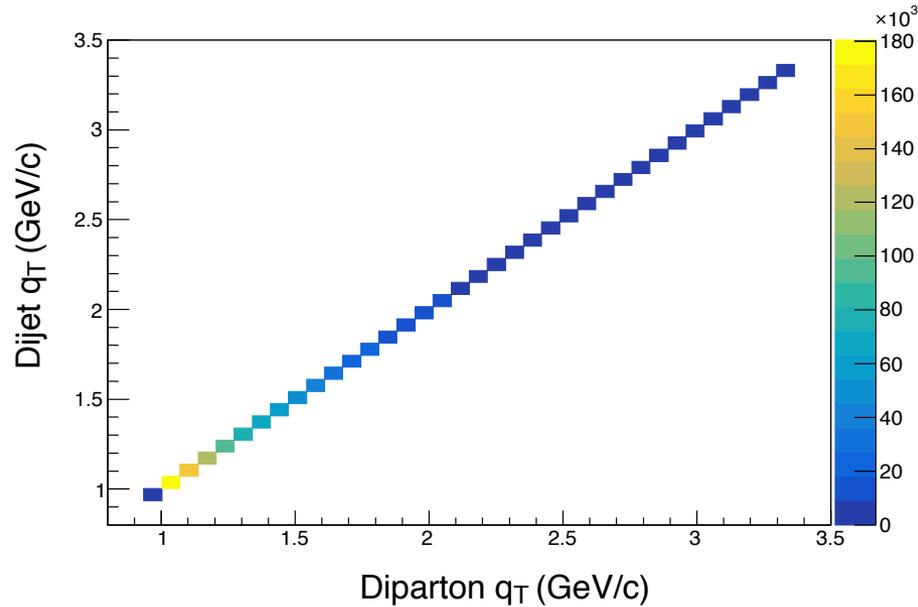
- Standard jet finding package: **FastJet**
- Clean environment $\Rightarrow R_{\text{jet}}=1$
- Accept hadrons, $p_{\text{T}} > 250 \text{ MeV}/c$
- Problem: two forward jets with low-moderate p_{T}
- **Anti-kt** algorithm **not** the right choice
 - ▶ $\langle \# \text{jets/event} \rangle \sim 4.7$
 - ▶ Comparison of parton with jet p_{T} , dijet q_{T} , P_{T} shows the algorithm is not up to the task
- **ee-kt** seems best of all available algorithms
 - ▶ Fixed number of jets, here 2
 - ▶ Future: combination of ee-kt and anti-kt with detailed comparison and QA

Jet - Parton Comparison



- Ok η match
- Obvious lower jet p_T than original parton
- Shift needs to be corrected by usual unfolding in “real” analysis. Beyond scope here.
- Poor man’s correction: add average E-loss to compensate

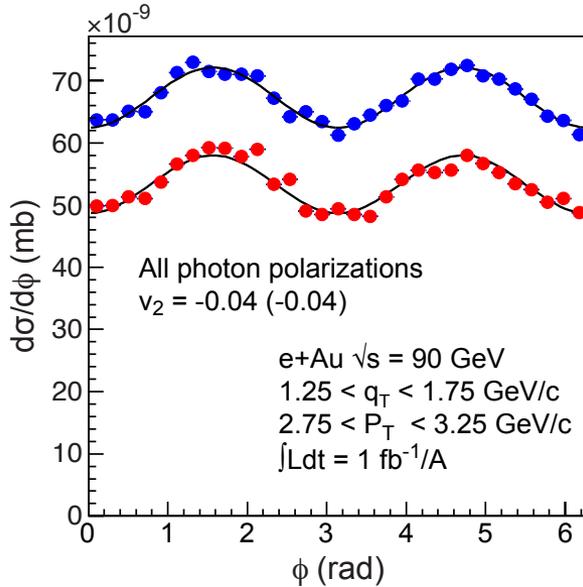
Dijet - Diparton Comparison



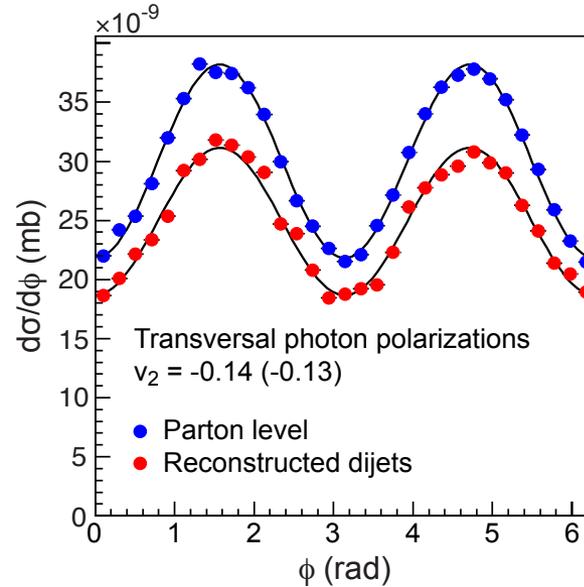
- Perfect q_T match due to ee-kt
- P_T matches quite well (unfolding would improve)

Elliptic Anisotropy

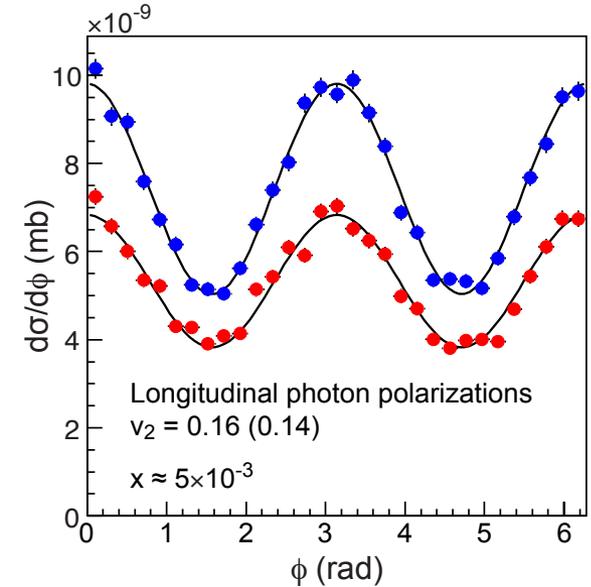
All polarizations



Trans. γ^*



Long. γ^*



- Here: eA $\sqrt{s}=90$ GeV, $1.25 < q_T < 1.75$ GeV/c, $2.75 < P_T < 3.25$ GeV/c
- Error bars scaled to $1 \text{ fb}^{-1}/A$, fluctuations due to limited MC stats
- Dijets recover the anisotropy (v_2) quite well
- Lower yield of jets due to uncorrected jet finding efficiency
 - ▶ doesn't matter as long it doesn't effect anisotropy
- NOTE: phase shift between long. and trans. γ^* (dominated by T)

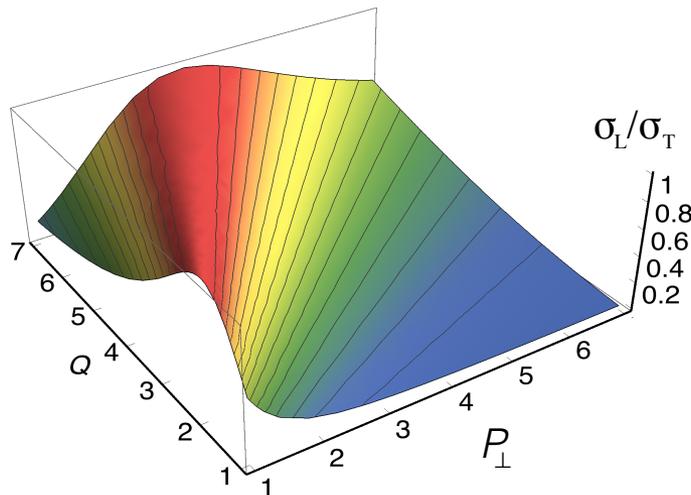
Disentangling L and T (I)

- Other than in diffractive exclusive J/ψ production, L and T cannot be separated easily
- However, essential to extract $h_T^{(1)}/G^{(1)}$

$$v_2^L = \frac{1}{2} \frac{h_{\perp}^{(1)}(x, q_{\perp})}{G^{(1)}(x, q_{\perp})} \quad , \quad v_2^T = -\frac{\epsilon_f^2 P_{\perp}^2}{\epsilon_f^4 + P_{\perp}^4} \frac{h_{\perp}^{(1)}(x, q_{\perp})}{G^{(1)}(x, q_{\perp})}$$

Several Methods available:

1. Using Q^2 and P_T dependence of L and T



- σ_L is negligible at small Q^2
- Bin data in Q^2 and P_T and study dependence

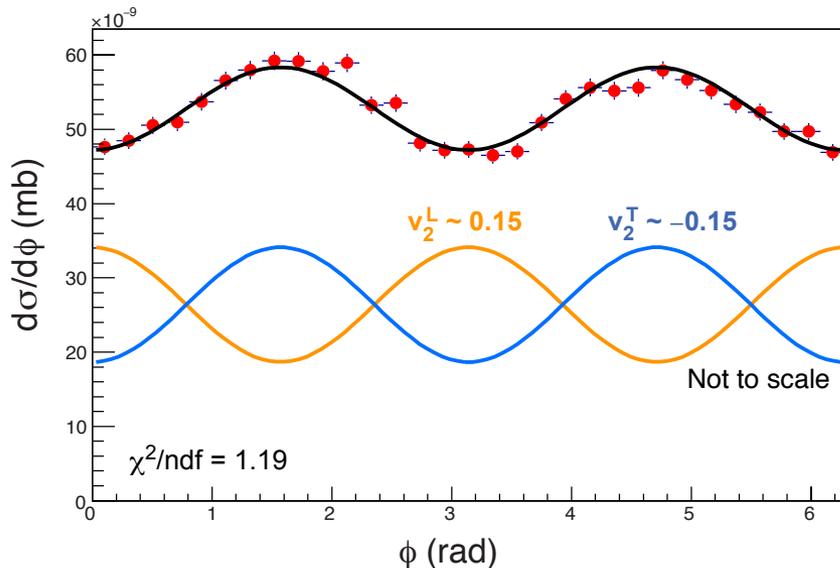
Disentangling L and T (II)

2. Use kinematic relation:

$$v_2^{\text{unpol.}} = \frac{Rv_2^L + v_2^T}{1 + R} \quad \text{where}$$

$$R = \frac{4z^2(1-z)^2\epsilon_f^2 P_T^2}{z(1-z)(z^2 + (1-z)^2)(\epsilon_f^4 + P_T^4)} \quad \text{with} \quad \epsilon_f^2 = z(1-z)Q^2$$

Proof of principle from generated jet data:



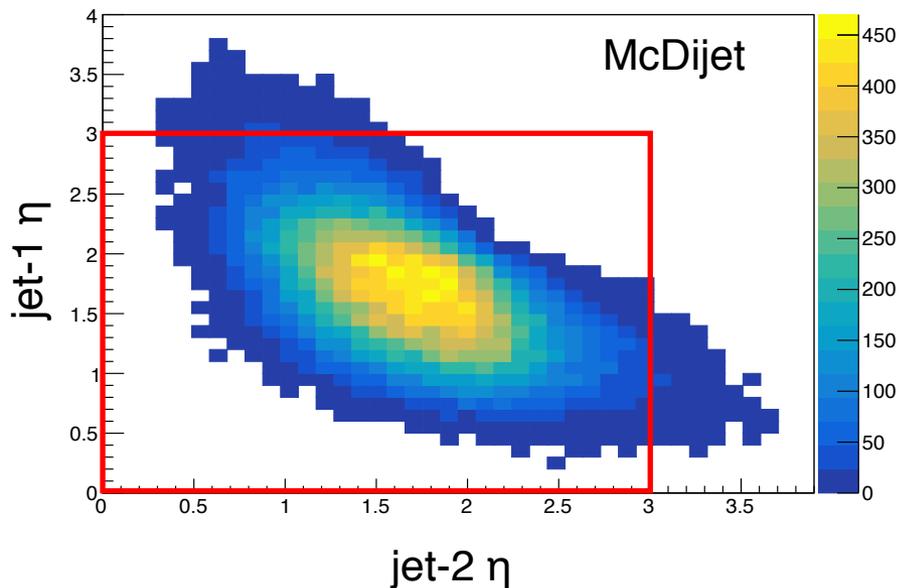
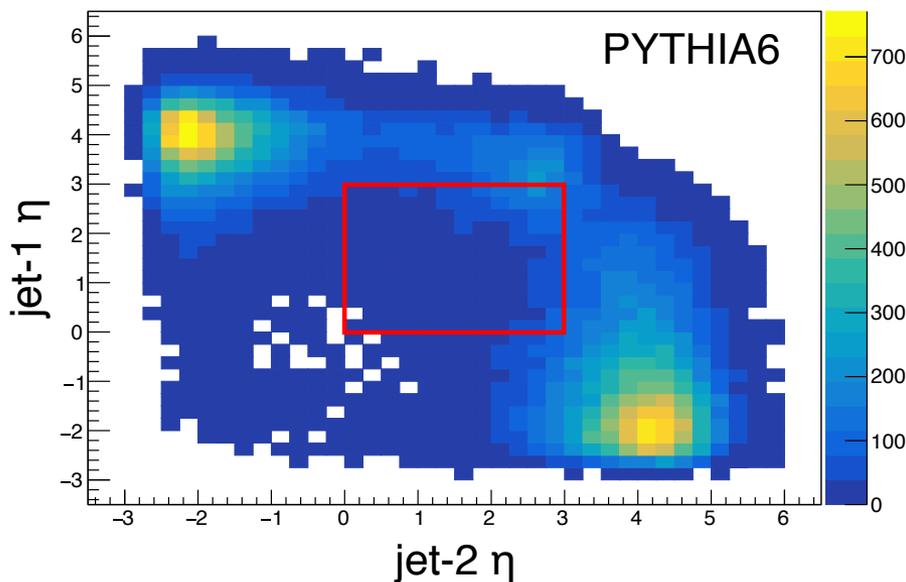
- Fit $dN/d\phi$ with v_2^L and v_2^T as free parameter tied together by variable R
- Here no P_T , Q^2 binning, use average for proof of principle
- **Sufficient leverage to disentangle L and T** (true: $v_2^L \sim 0.14$ and $v_2^T \sim -0.14$)

Background (I)

- Sources
 - ▶ physical background
 - ▶ artifacts by using *ee_kt* jet finder and enforcing two jets (fake jets)
- PYTHIA6 Simulations
 - ▶ Generate events with full suite of processes switched on
 - ▶ Same kinematic limits (Q^2 , W , ...) as McDijet (source generator)
 - ▶ Run through exactly same chain as McDijet

Background (II)

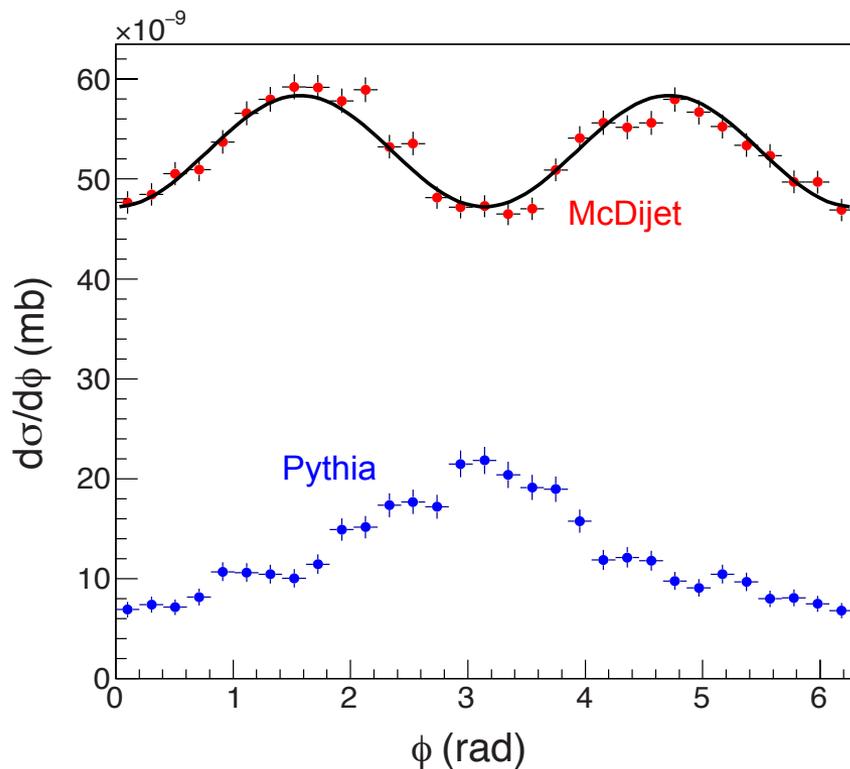
- Studying Background
 - ▶ Dijet distributions offer no obvious cuts in P_T , q_T
 - ▶ Key difference: rapidity dependence



- Pythia jets are more forward and dominantly $\eta_1 \cdot \eta_2 < 0$
- Require jets to be $0 < \eta < 3$
 - ▶ Signal loss 1-2%
 - ▶ Background reduction by factor 5

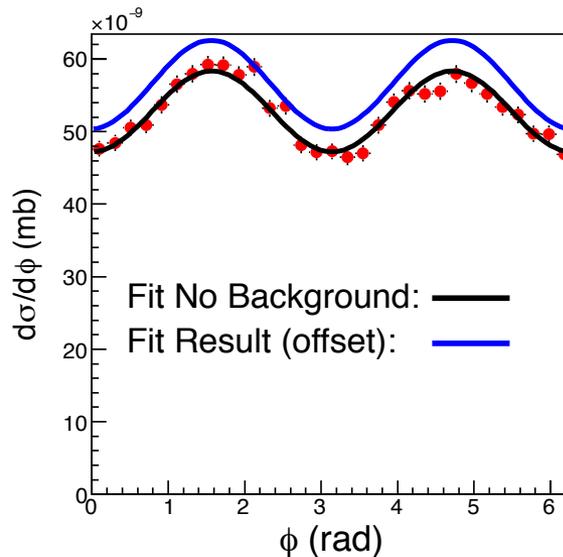
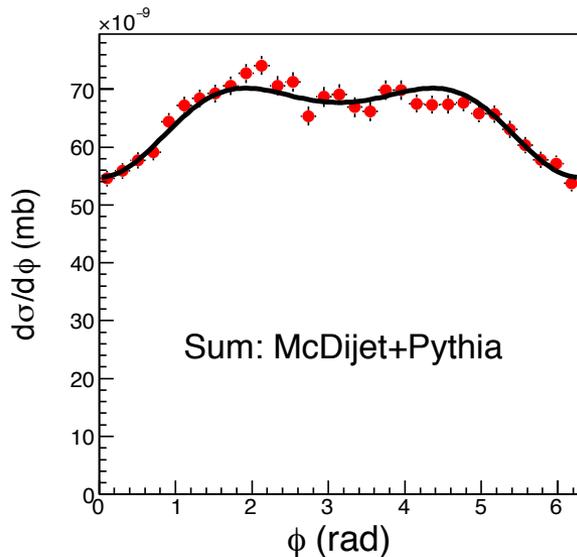
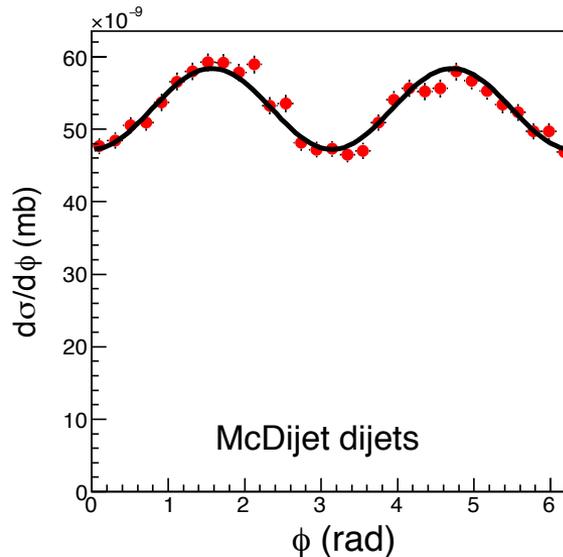
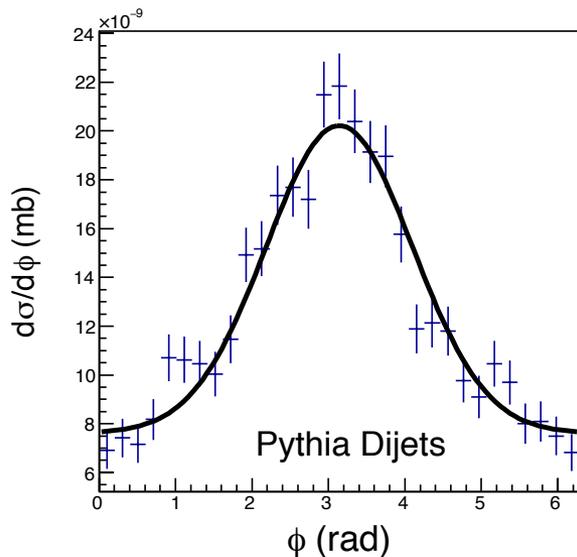
Factor 5 improvement
in S/B

Background (III)



- Pythia & fake jet background is ~ 0.25 of that of signal.
 - background shows no modulation but a broadened away-site peak
 - Further QA cuts on jets may reduce the background further (to be checked)
-
- To subtract background need to know the shape quite well
 - ▶ simulations
 - ▶ ep events
 - Proof of principle: assume Gaussian + const as free fit parameters

Background (IV)



- Fit works well
- v_2 within $< 15\%$
- $\chi^2/\text{ndf} \sim 1.2$

- Sufficient leverage to deal with backgrounds
- Further reduction of background through jet Q&A cuts and shape control

Summary

- Transverse momentum dependent (TMD) factorization in DIS predicts a distribution for linearly polarized gluons in an unpolarized target, $h_T^{(1)}$. This is reflected in an azimuthal anisotropy in dijet production, measured via v_2 .
- Anisotropy is different for transverse (T) and longitudinal (L) polarized virtual photons
- First simulations show that the in eA an EIC can perform this challenging measurement
 - ▶ Can separate background from signal jet pairs
 - ▶ Can extract v_2^L and v_2^T

Measurement of v_2 of dijets will give us this **new TMD gluon distribution** function which has not been measured so far.