

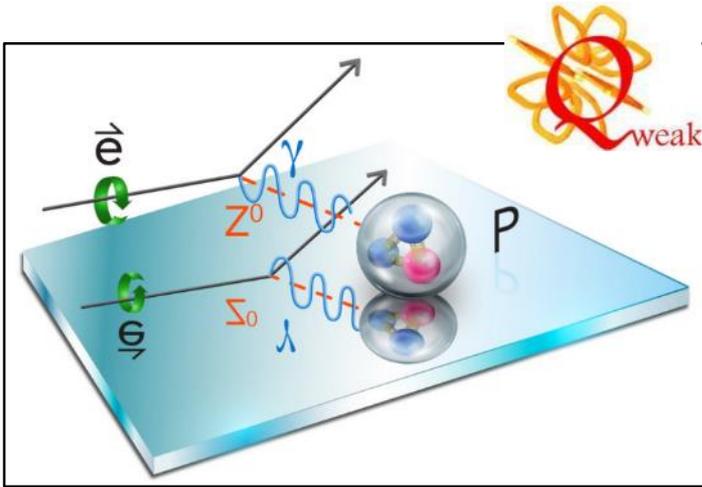
# Final Results of the Qweak Experiment

A search for new PV physics at the TeV scale by measuring the proton's weak charge  $Q_w^p$ .

<https://rdcu.be/OIW2>

*Nature* **557**, 207–211 (2018)  
doi:10.1038/s41586-018-0096-0

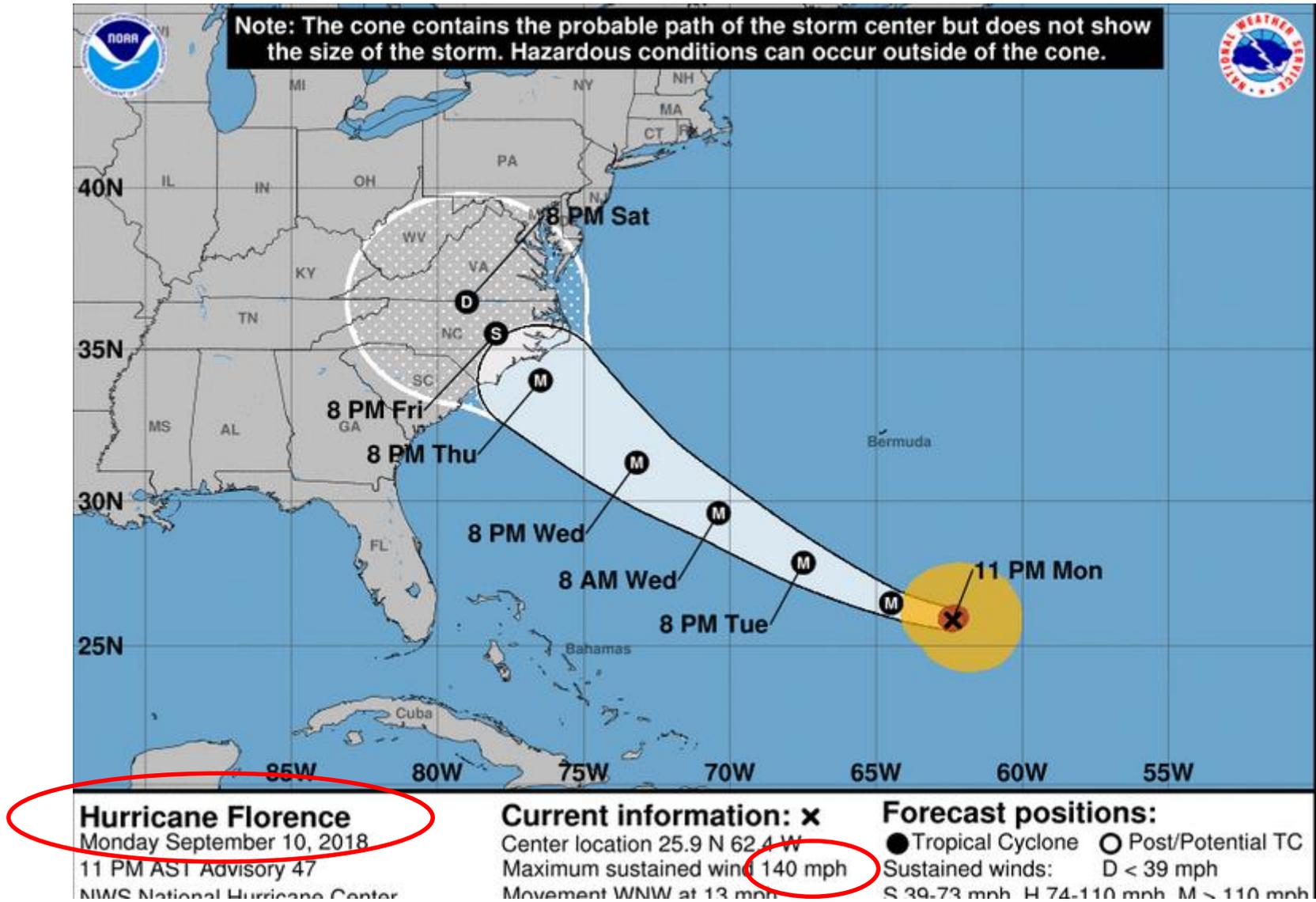
PROBING NATURE'S SECRETS  
in the search for new physics



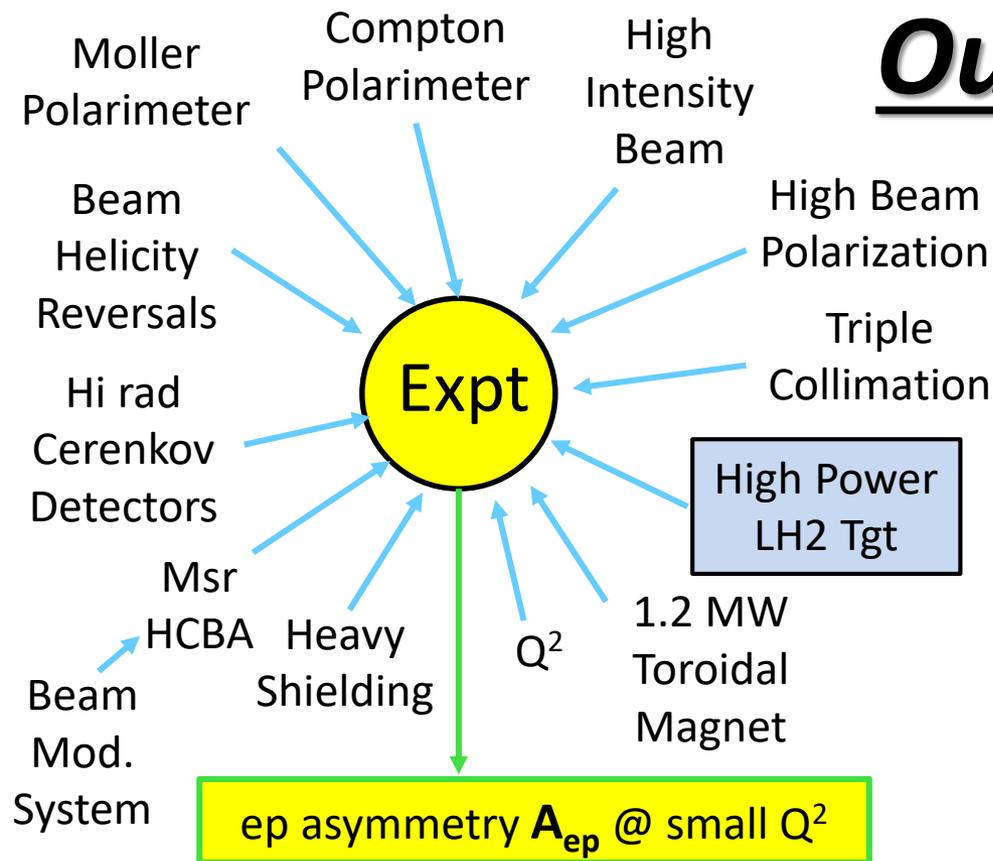
**Greg Smith**  
(Jefferson Lab)  
for the  
Qweak  
Collaboration



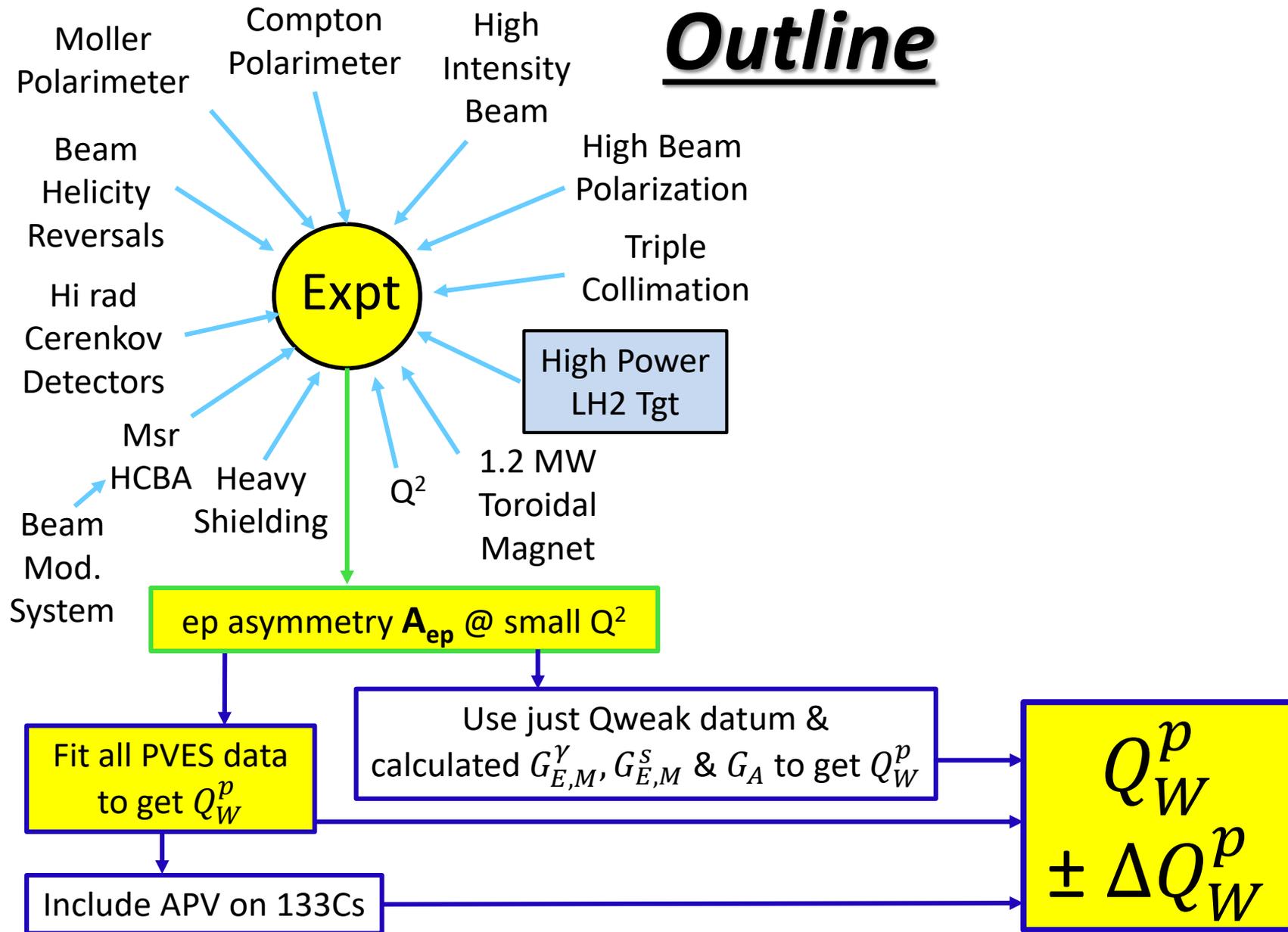
# *SPIN2018 is in Florence, not Ferrara!*



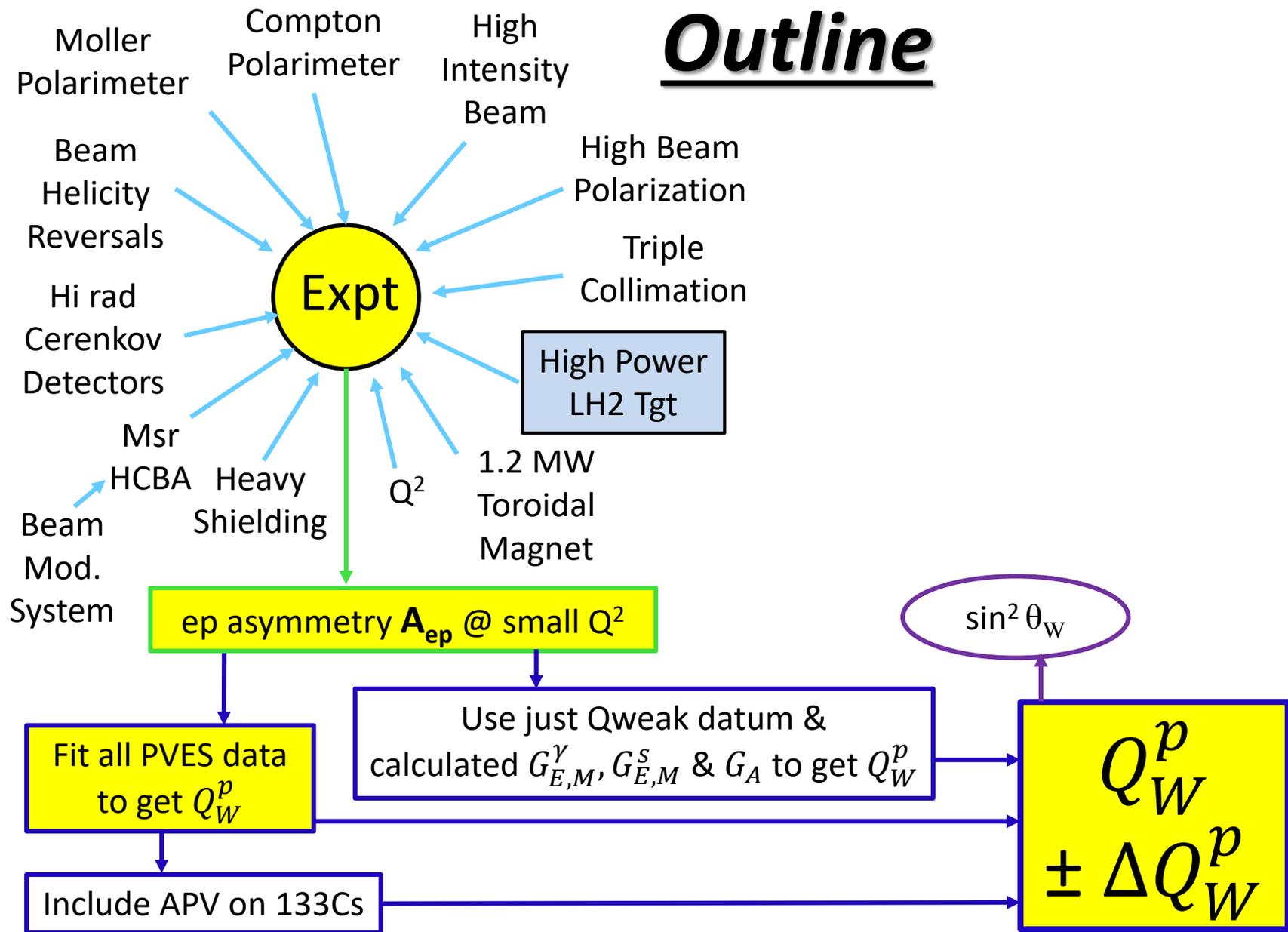
# Outline



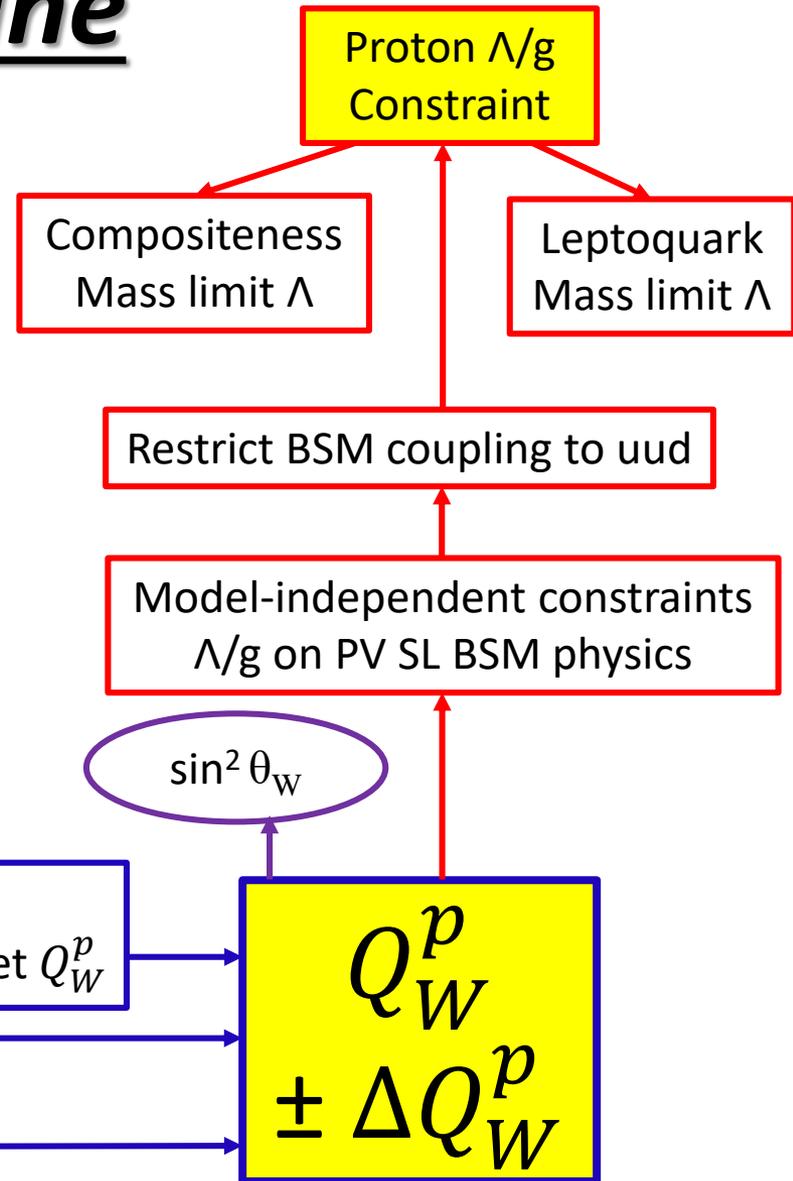
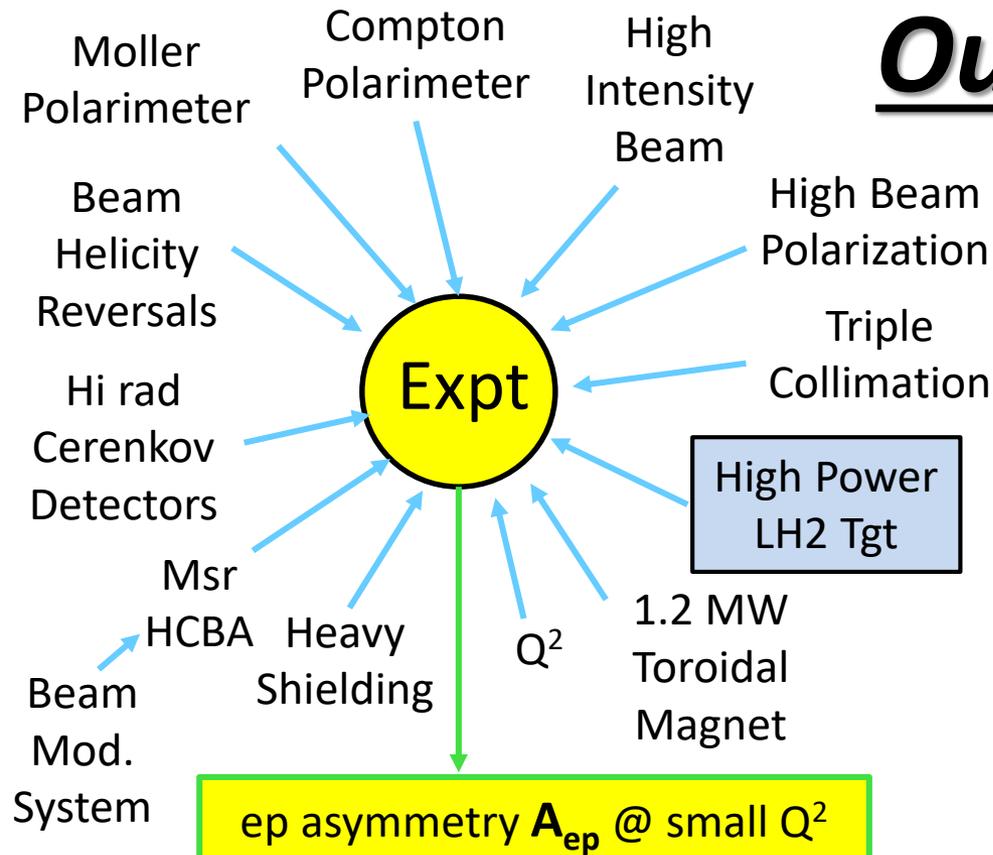
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# Outline



# *In search of the holy grail: cracks in the SM*

- Why search? SM has limitations:
  - *Too many parameters* which are not predicted
  - *Does not account for things* like gravity, dark matter/energy, matter/anti-matter asymmetry, etc.
  - *Lack of addt'l particles found* so far thru direct searches in the post-Higgs era

# In search of the holy grail: cracks in the SM

- Why search? SM has limitations:
  - Too many parameters which are not predicted
  - Does not account for things like gravity, dark matter/energy, matter/anti-matter asymmetry, etc.
  - Lack of addt'l particles found so far thru direct searches in the post-Higgs era
- How? Use indirect searches utilizing precise msrmnts of well-predicted SM observables
  - *Compare* precise msrmnts with SM predictions
  - $Q_W(p)$  a good testing ground: *highly suppressed* in SM
    - SM bkg is small → easier to see new physics
  - Has potential to reach *TeV* mass/energy scales beyond those directly accessible with high-energy accelerators

# *Exploiting Parity-Violation*

- The weak interaction is a needle in the EM haystack
  - Strength of EM interaction  $\sim (4\pi\alpha/Q^2)^2$
  - Strength of weak interaction  $\sim 4\pi\alpha G_F / (\sqrt{2}Q^2)$
  - Ratio weak/EM strength is  $G_F Q^2 / (4\pi\alpha\sqrt{2}) \sim \boxed{2 \text{ ppm}}$  (at our  $Q^2$ )

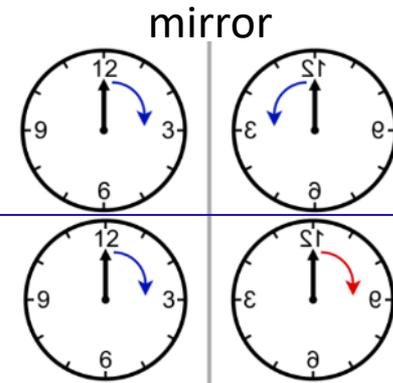
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- How to isolate weak interaction?

- EM interaction conserves parity 

- Weak interaction violates parity 

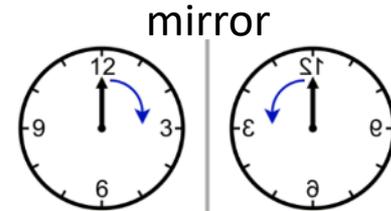


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- How to isolate weak interaction?

- EM interaction conserves parity  $\rightarrow$



- Weak interaction violates parity  $\rightarrow$

- $\therefore$  Flip e beam's spin direction  $180^\circ$

- Rate of e's scattered by EM int. stays the same
- Rate of e's scattered by weak int. will differ



Msr the beam spin asymmetry  $(\sigma^+ - \sigma^-) / (\sigma^+ + \sigma^-)$  to isolate weak interaction

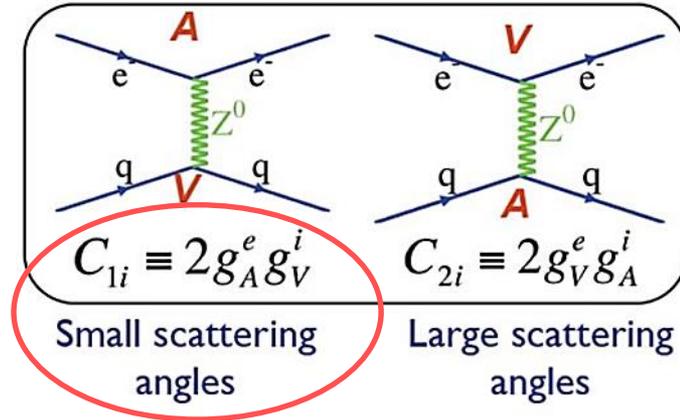
# The Weak Charges

$Q_w(p)$  is the neutral-weak analog of the proton's electric charge

The SM makes a firm prediction of  $Q_w^p$  we can test

	$Q_{EM}$	Weak Vector Charge
u quark	2/3	$-2C_{1u} = 1 - \frac{8}{3} \sin^2 \theta_w \approx 1/3$
d quark	-1/3	$-2C_{1d} = -1 + \frac{4}{3} \sin^2 \theta_w \approx -2/3$
p (uud)	+1	$1 - 4 \sin^2 \theta_w \approx 0.07$
n (udd)	0	$\approx -1$

$Q_{weak}$  is sensitive to the quark vector couplings  $C_{1u}$  &  $C_{1d}$



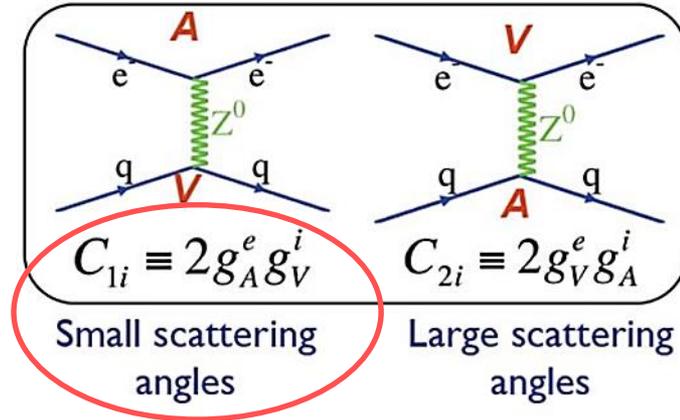
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- **General:  $Q_w(Z,N) = -2\{C_{1u}(2Z + N) + C_{1d}(Z + 2N)\}$** 
  - Ex:  $Q_w(p) = -2(2C_{1u} + C_{1d})$  (this experiment)
    - Uses higher  $Q^2$  PVES data to constrain hadronic corrections (about 20%)
  - Ex:  $Q_w(^{133}\text{Cs}) = -2(188C_{1u} + 211C_{1d})$  (APV), Wood et al, Science 275, 1759 ('97)
    - Latest atomic corrections from Dzuba et al, PRL 109, 203003 (2012)
- **Combining  $Q_w(p)$  and  $Q_w(^{133}\text{Cs}) \rightarrow C_{1u}$  &  $C_{1d}$ ,  $Q_w(n)$**

# Design Principals for the Precision Frontier

- **Maximize luminosity & acceptance**
- **Azimuthal Symmetry:** To reduce HCBA's, msr xverse, increase  $d\Omega$
- **Optimize  $Q^2$ :** higher  $Q^2 \rightarrow$  larger A, lower  $Q^2 \rightarrow$  larger  $d\sigma/d\Omega$ , smaller extrap'n to threshold & hadronic structure contributions
- **Use cutting edge tech** but don't rely too much on unproven tech!
- **NULL asymmetry msrmnts:** to quantify absence of false asymmetries
- **Blind the analysis**
- $\Delta A = \Delta A_{qrt} / \sqrt{N_{qrt}}$ , where  $\Delta A_{qrt} \propto \sigma_{det}, \sigma_{BCM}, \sigma_{tgt}, \tau_{Hel}, \tau_{elec}$  (**qrt : + - - +**)
- **Unprecedented precision brings inevitable surprises:**
  - For us: HC halo bkg on beam coll., rescattering bias in Pb preradiators
- **Redundancy:** Ex: 2 polarimeters, many BCMs, BPMs, dummy/bkg tgts, different ways to characterize HCBA's, BB, etc., several ways to flip helicity, ...
- **Multiple run periods:** To improve, & compare rsults under different conditions
- **Flexibility:** Build in ancillary detectors & capabilities to handle unexpected bkg's

# Experimental Technique to Isolate/Measure PV Signal

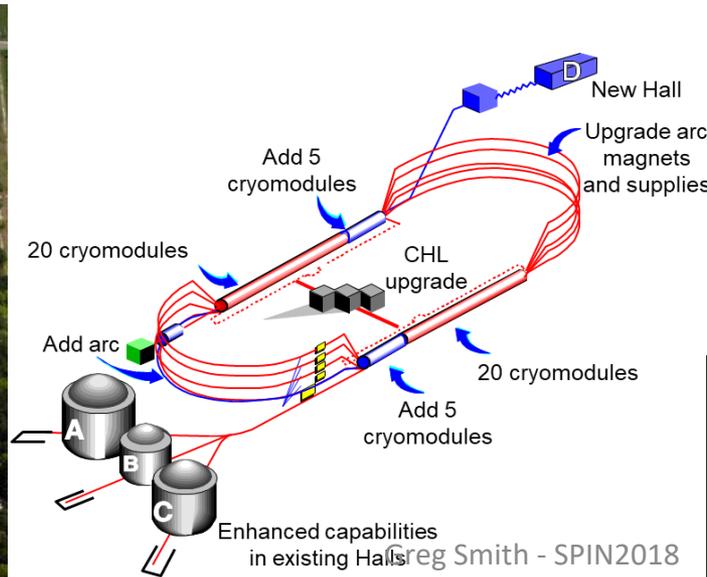
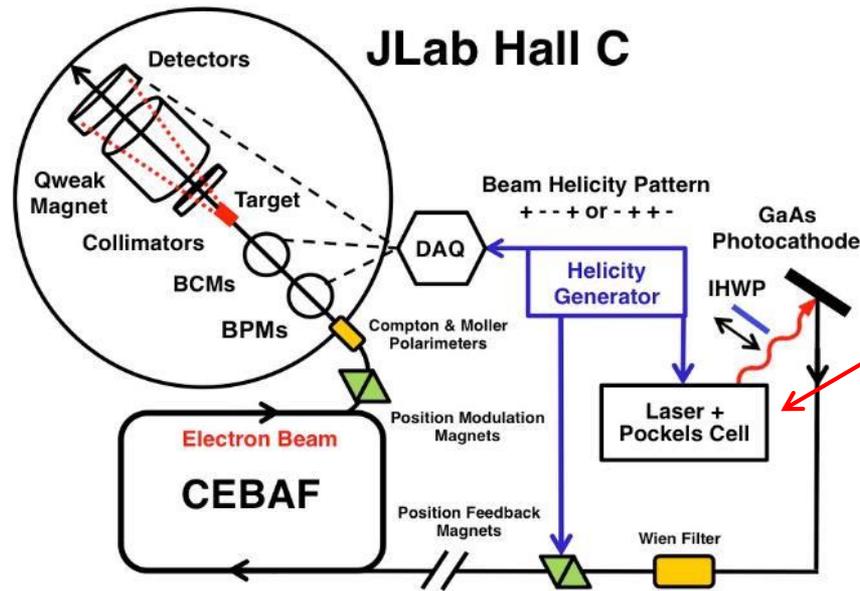
The entire accelerator complex is our apparatus

Multiple ways of reversing electron beam helicity are essential:

**“Fast reversal”**

- 1) Rapid pseudo-random reversal (varying HV on Pockels cell)

- 960 Hz ( $\pm \mp \mp \pm$ )



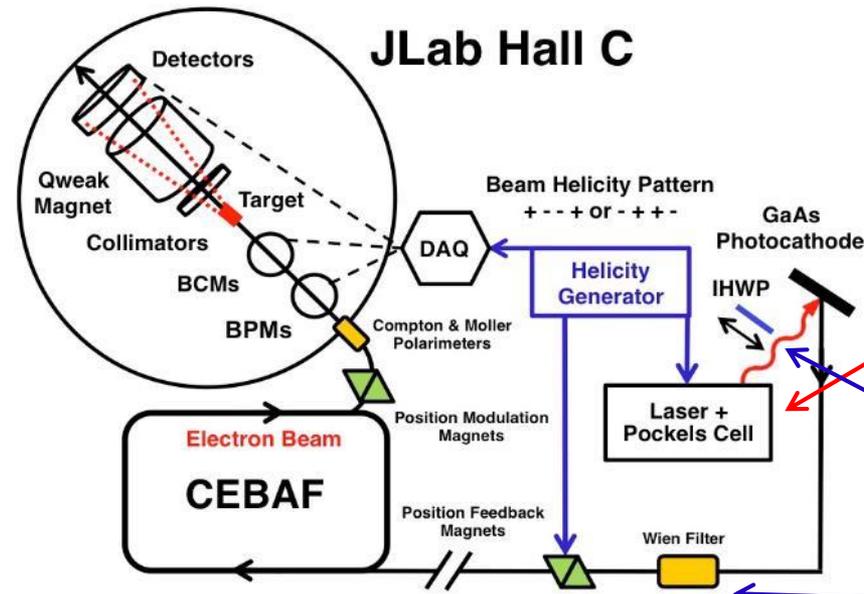
Jefferson Lab in Newport News, VA

- Superconducting RF accelerator
- Continuous e- beam (499 MHz)
- **4** experimental halls
- 12 GeV upgrade complete

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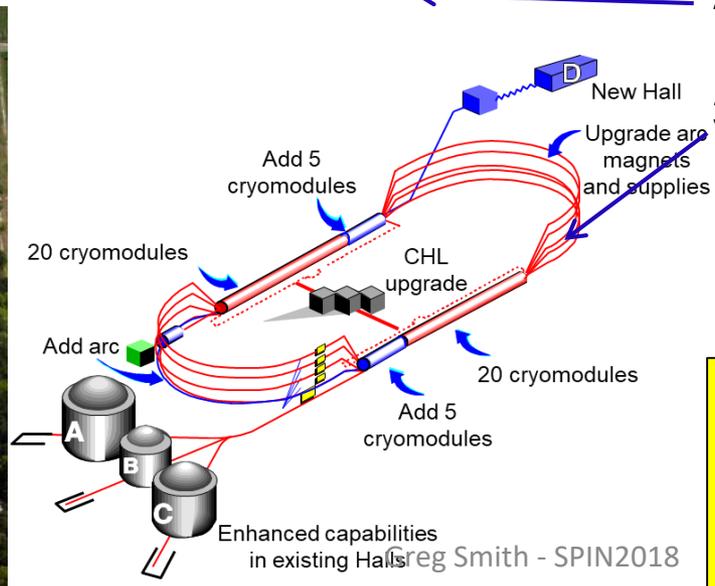


## “Fast reversal”

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## “Slow reversals”

- 1) IHWP (insertable half-wave plate)
  - ~8-hour intervals
- 2) “Double Wien” spin manipulator
  - monthly intervals
- 3) g-2 spin flip
  - Ran at 2 pass (instead of 1 pass) for ~ 6 weeks



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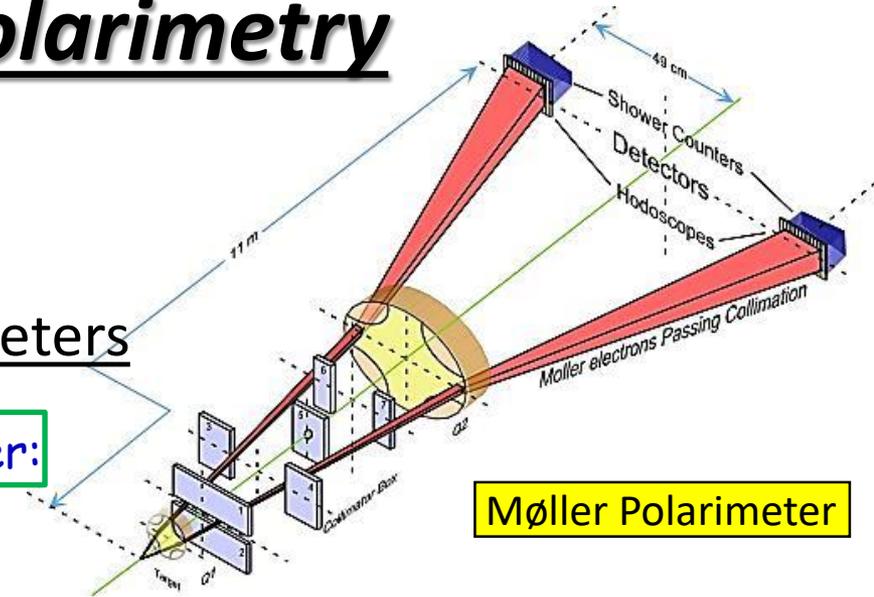
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Qweak required  $\Delta P/P \leq 1\%$

**Achieved 0.61% !**

Strategy: use 2 independent polarimeters

- Use existing <1% Hall C **Møller polarimeter:**
  - Low beam currents, invasive
  - Known analyzing power provided by polarized Fe foil in a 3.5 T field.



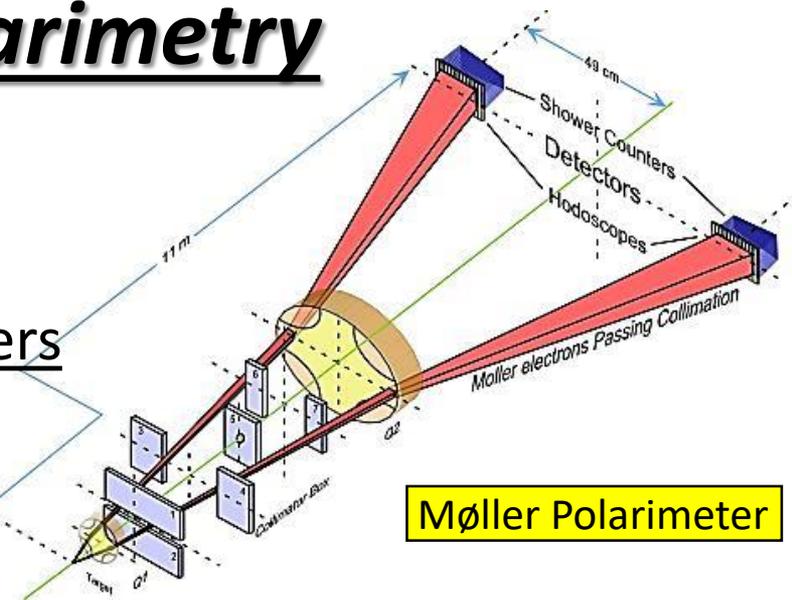
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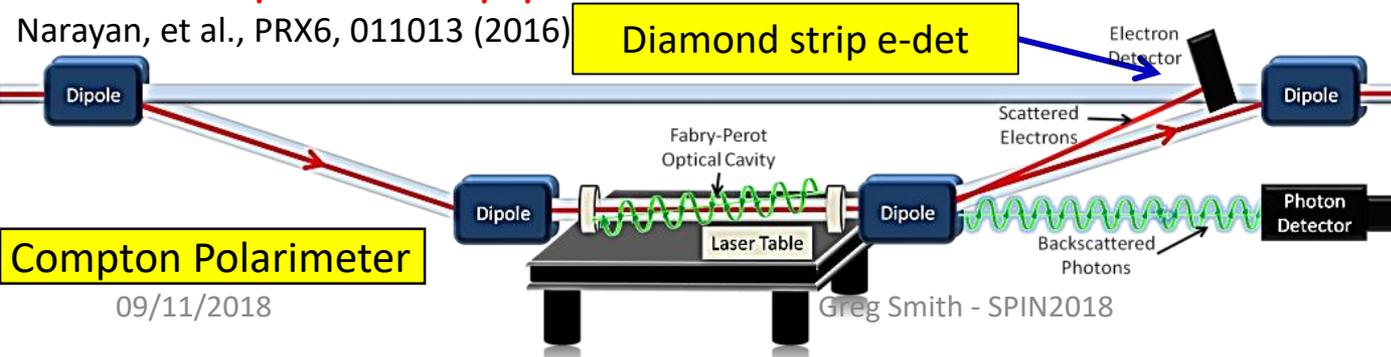
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**Møller Polarimeter**

- Use new **Compton polarimeter** (1%/h)
  - High  $I_{beam}$ , non-invasive
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**Compton Polarimeter**



09/11/2018

Greg Smith - SPIN2018

# Precision Polarimetry

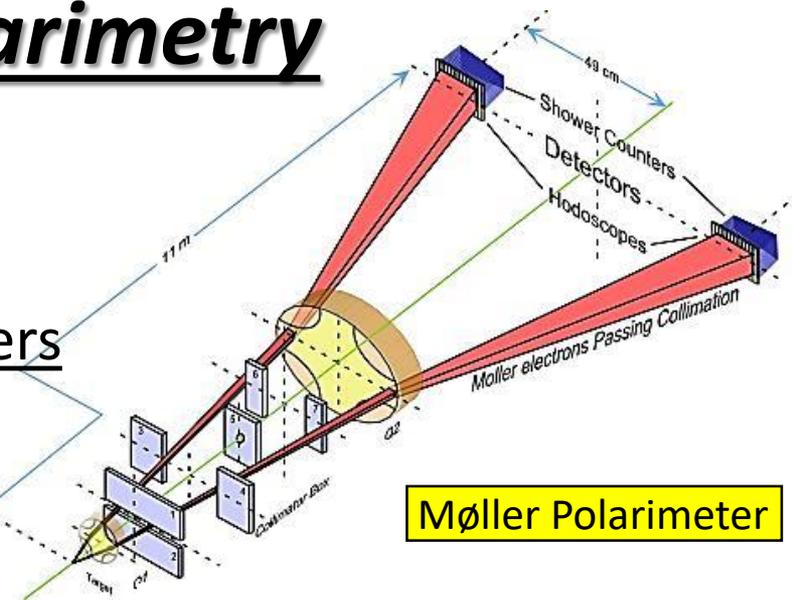
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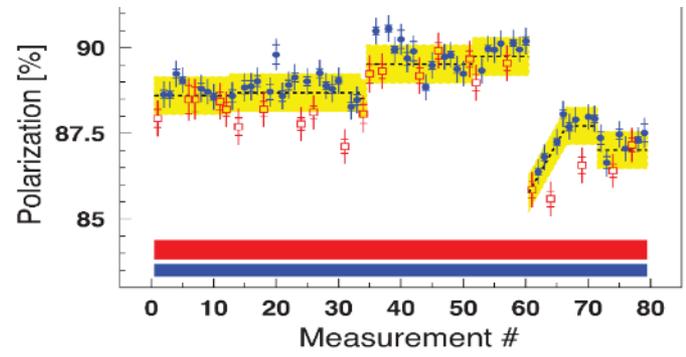
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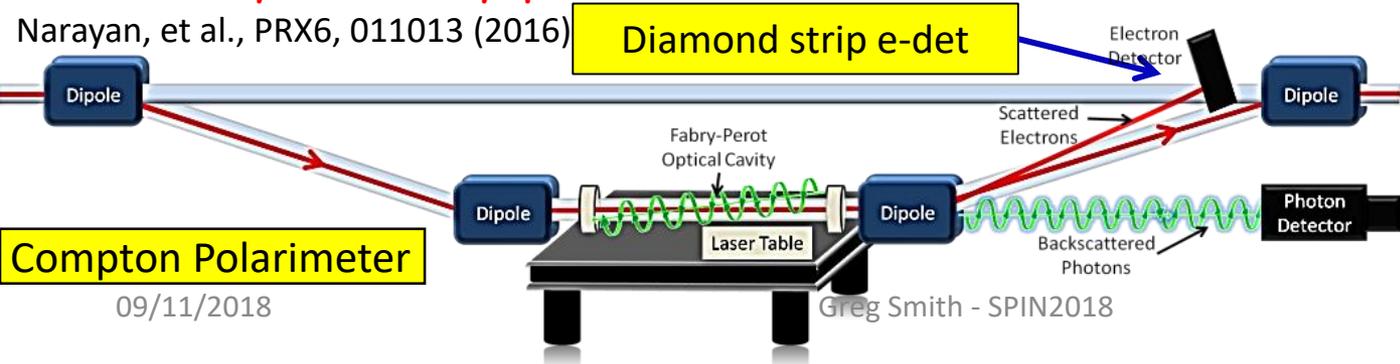


**Møller Polarimeter**

**Compton (blue circle), Moller (red square)**

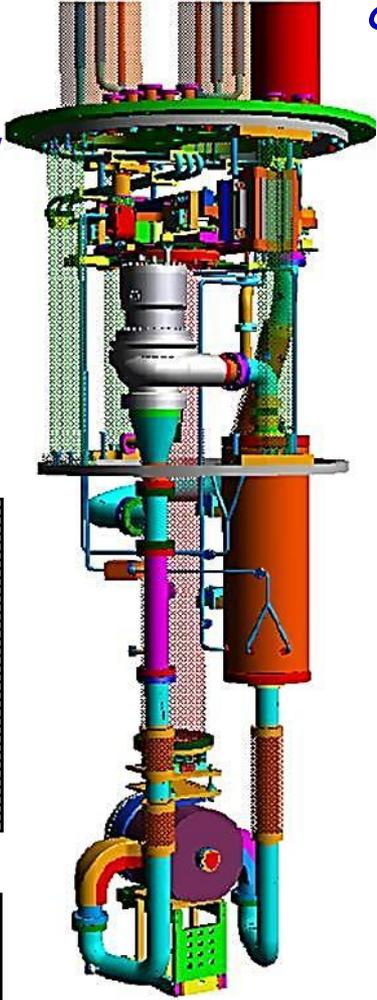
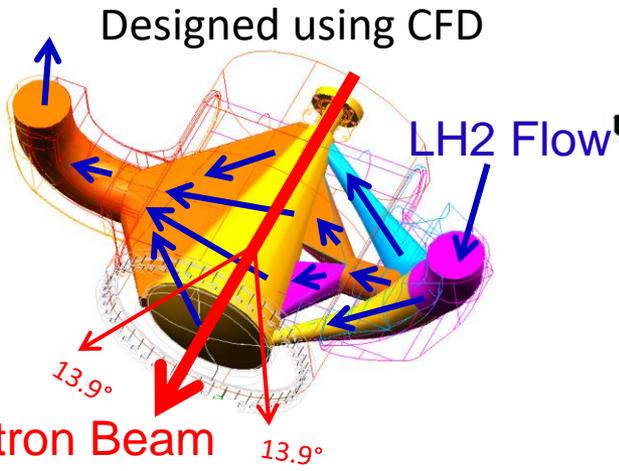


Narayan, et al., PRX6, 011013 (2016)

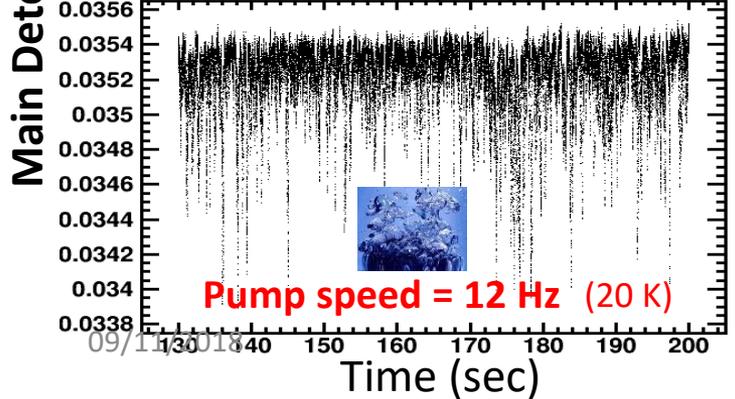
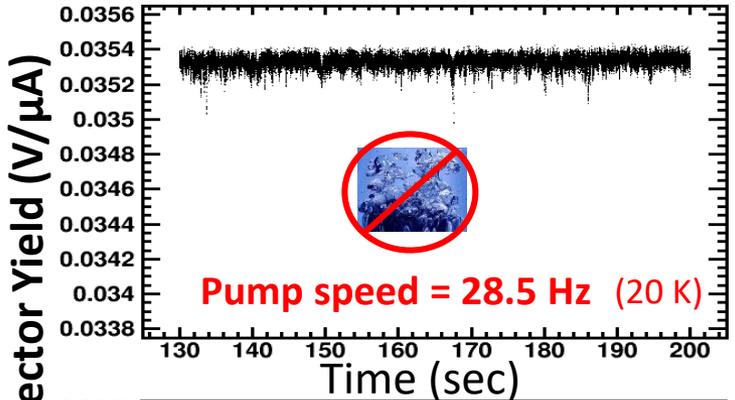


# Target Performance

World's highest power (3 kW)  
 & lowest msrd noise (50 ppm)  
 cryogenic target

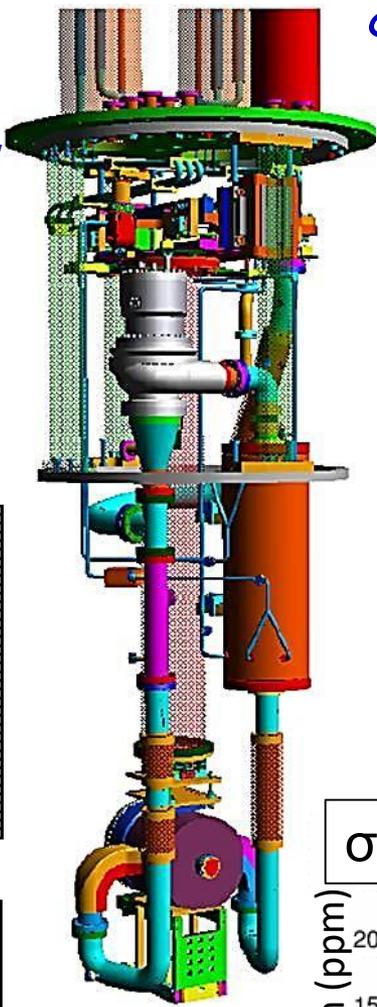
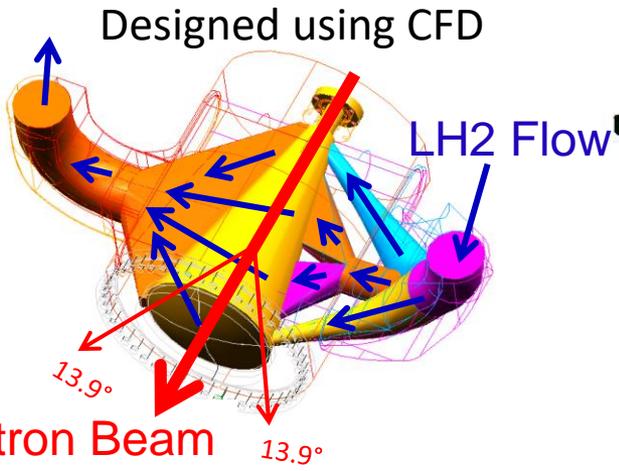


- $I_{\text{Beam}} = 180 \mu\text{A}$
- $L = 34.4 \text{ cm (4\% } X_0)$
- $P_{\text{beam}} = 2.2 \text{ kW}$
- $A_{\text{spot}} = 4 \times 4 \text{ mm}^2$
- $V(\text{LH2}) = 58 \text{ liters}$
- $T = 20.00 \text{ K}$
- $P \sim 220 \text{ kPa}$
- Mass flow 1.2 kg/s
- Volume flow  $\sim 17 \text{ l/s}$

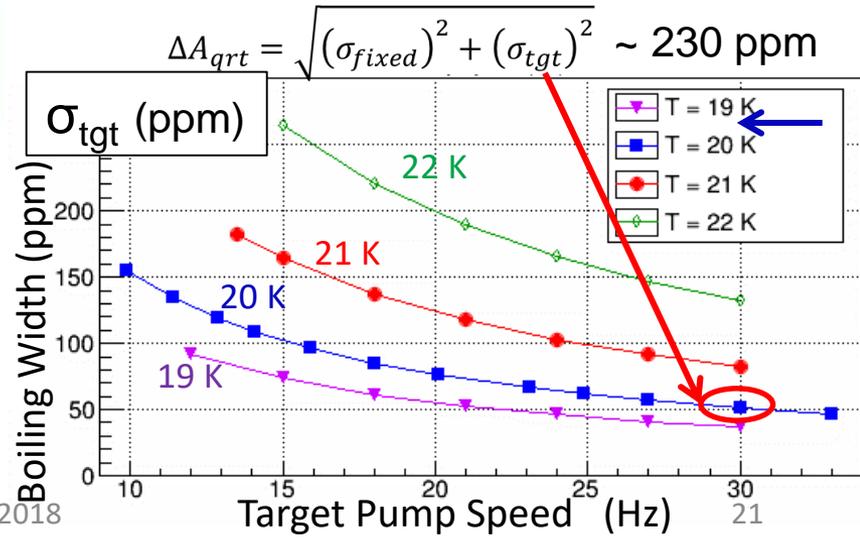
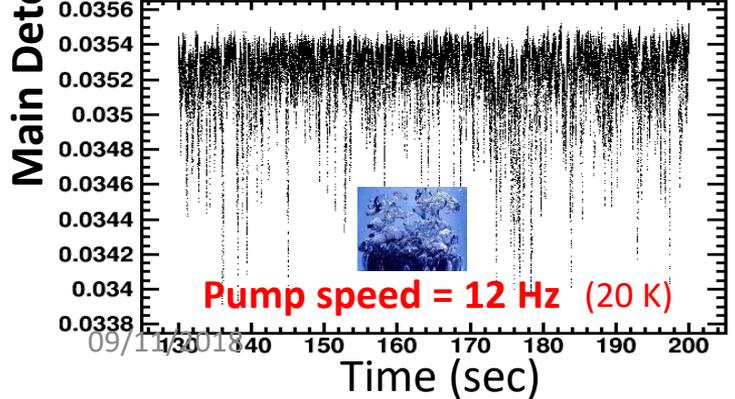
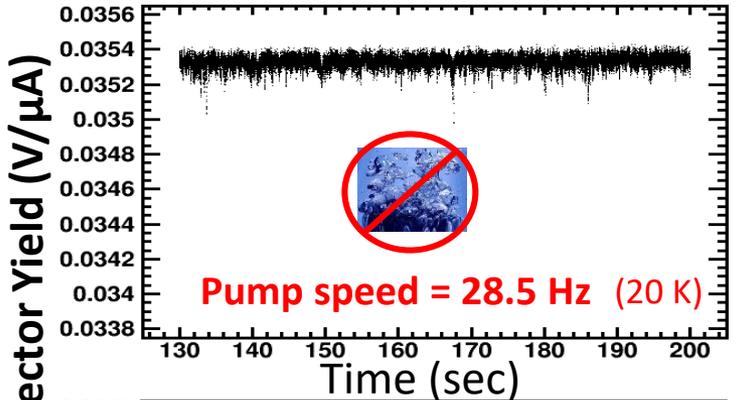


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# Experimental Apparatus

## Parameters:

$$I_{\text{beam}} = 180 \mu\text{A}$$

$$\text{Luminosity} = 1.7 \times 10^{39} \text{ cm}^{-2}\text{s}^{-1}$$

$$E_{\text{beam}} = 1.15 \text{ GeV}$$

$$\text{Beam Pol} = 89\% \pm 0.6\%$$

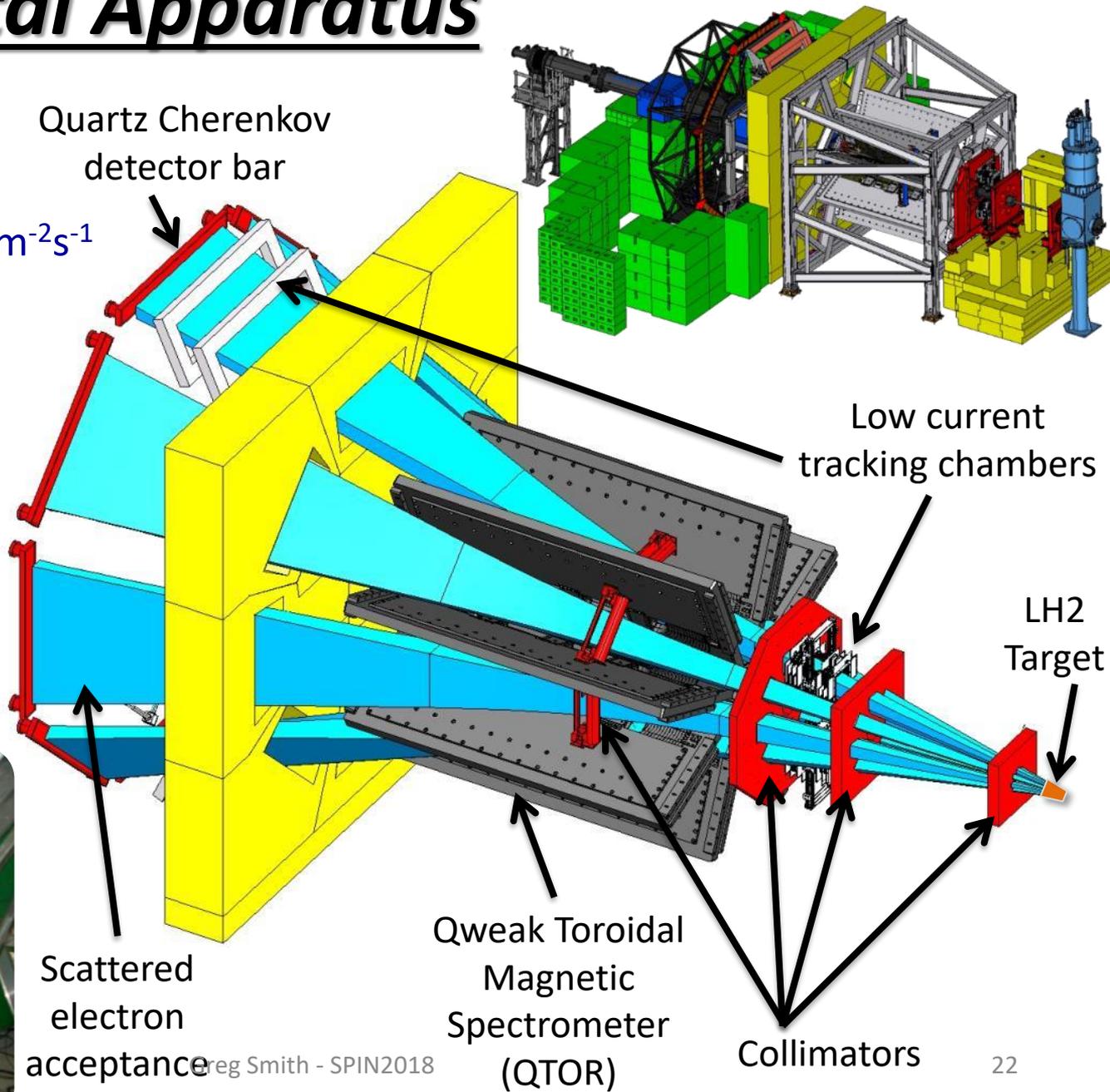
$$\theta = 6^\circ - 12^\circ, \langle \theta \rangle = 7.9^\circ$$

$$\langle Q^2 \rangle = 0.025 \text{ (GeV/c)}^2$$

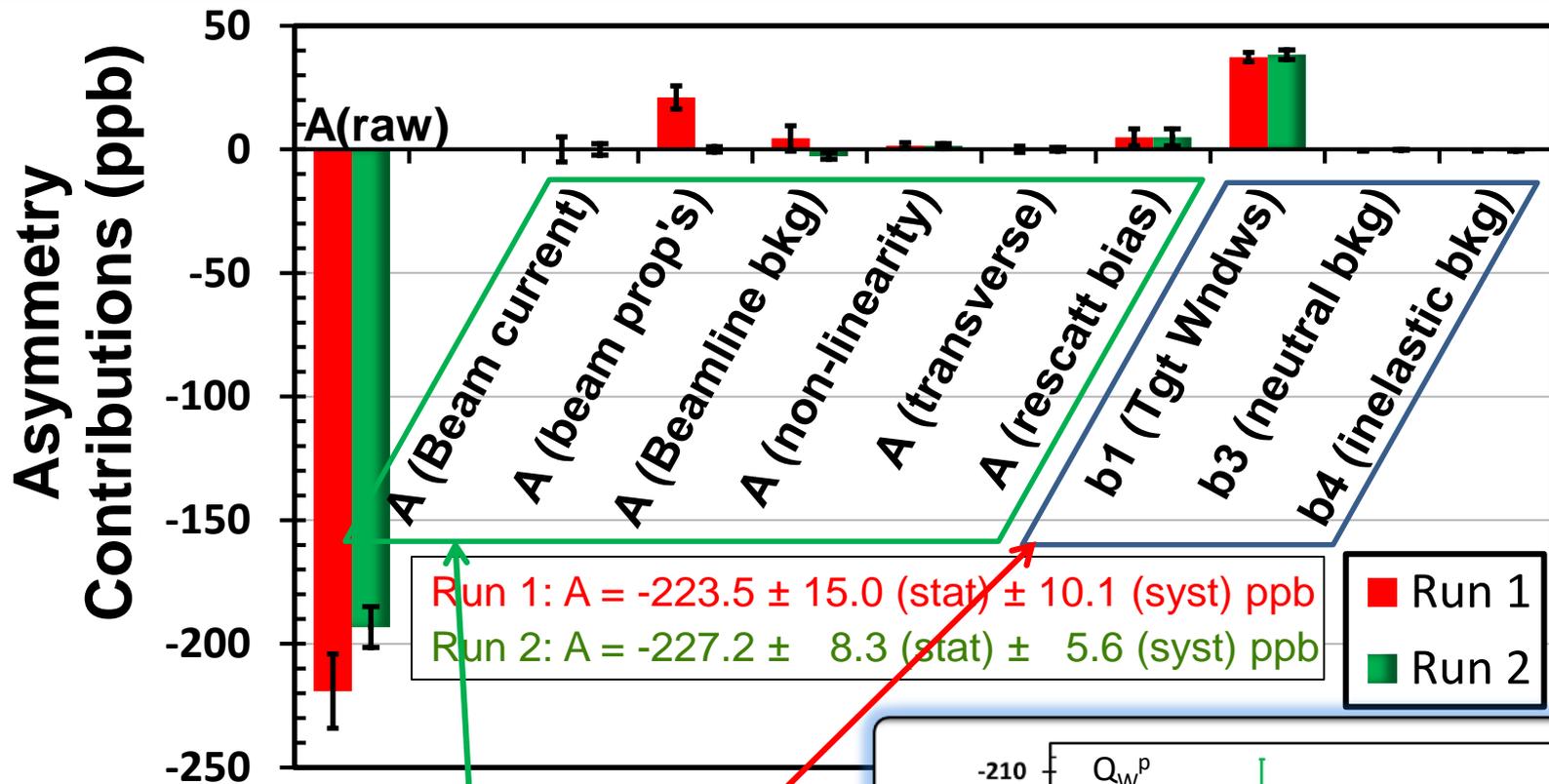
$$\text{Integrated Rate} \sim 7 \text{ GHz}$$

$$\text{Target} = 34.4 \text{ cm LH}_2, \\ 3 \text{ kW}, 50 \text{ ppm}$$

detector bar with Pb  
pre-radiator

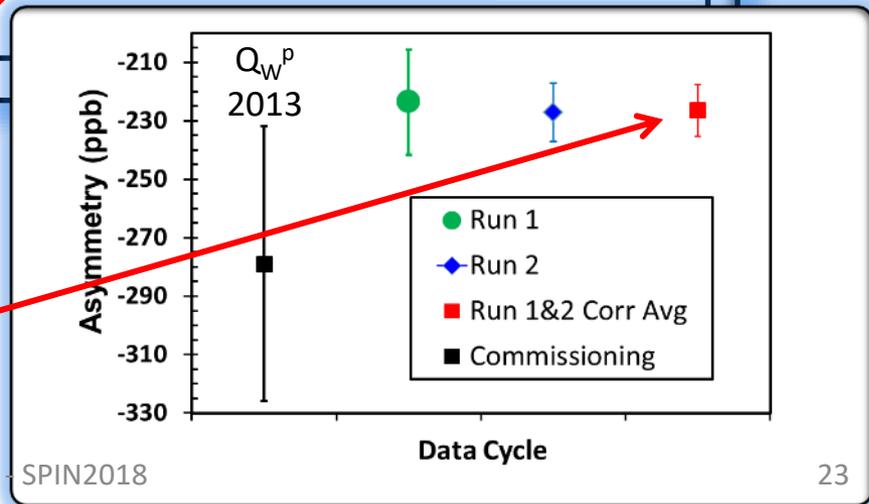


# Asymmetry Contributions & Uncertainties



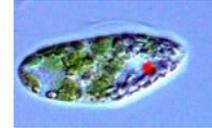
$$A_{ep} = \frac{A_{raw} + A_{false}}{P_{beam}} - f_{back} A_{back}$$

$$= -226.5 \pm 9.3 \text{ ppb}$$



# To put this $-226.5 \pm 9.3$ ppb in perspective:

If parity symmetry were violated for mountains, the Matterhorn (4478 m) & its mirror-image would differ by 1 mm, & this difference would be msrd to  $\pm 42 \mu\text{m}$

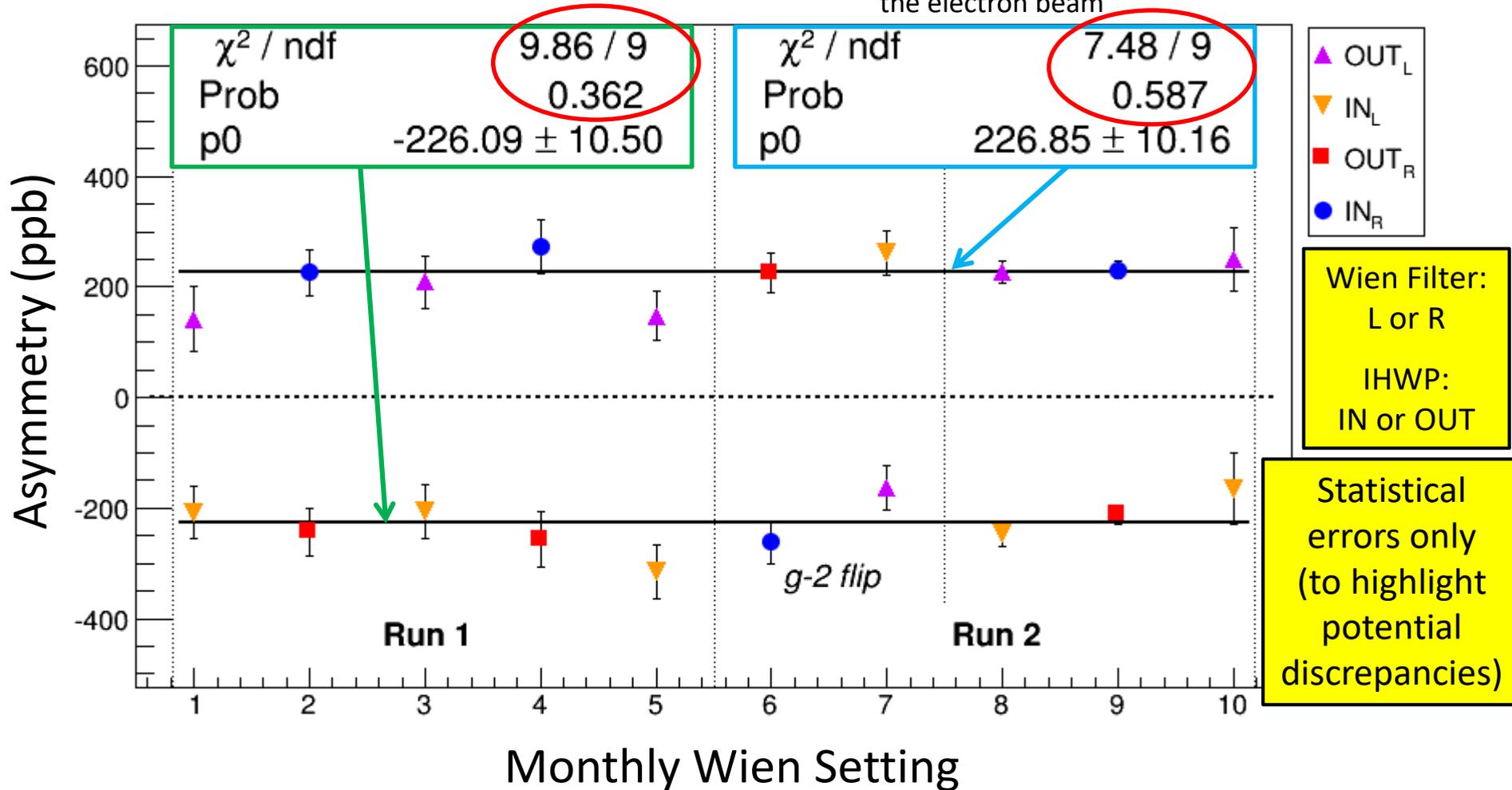


Parity Mirror

# Slow-Helicity-Reversal Stability

Wien (L or R) refers to ~monthly reversals of a double-Wien filter in the injector which reverses the spin direction (helicity) of the electron beam

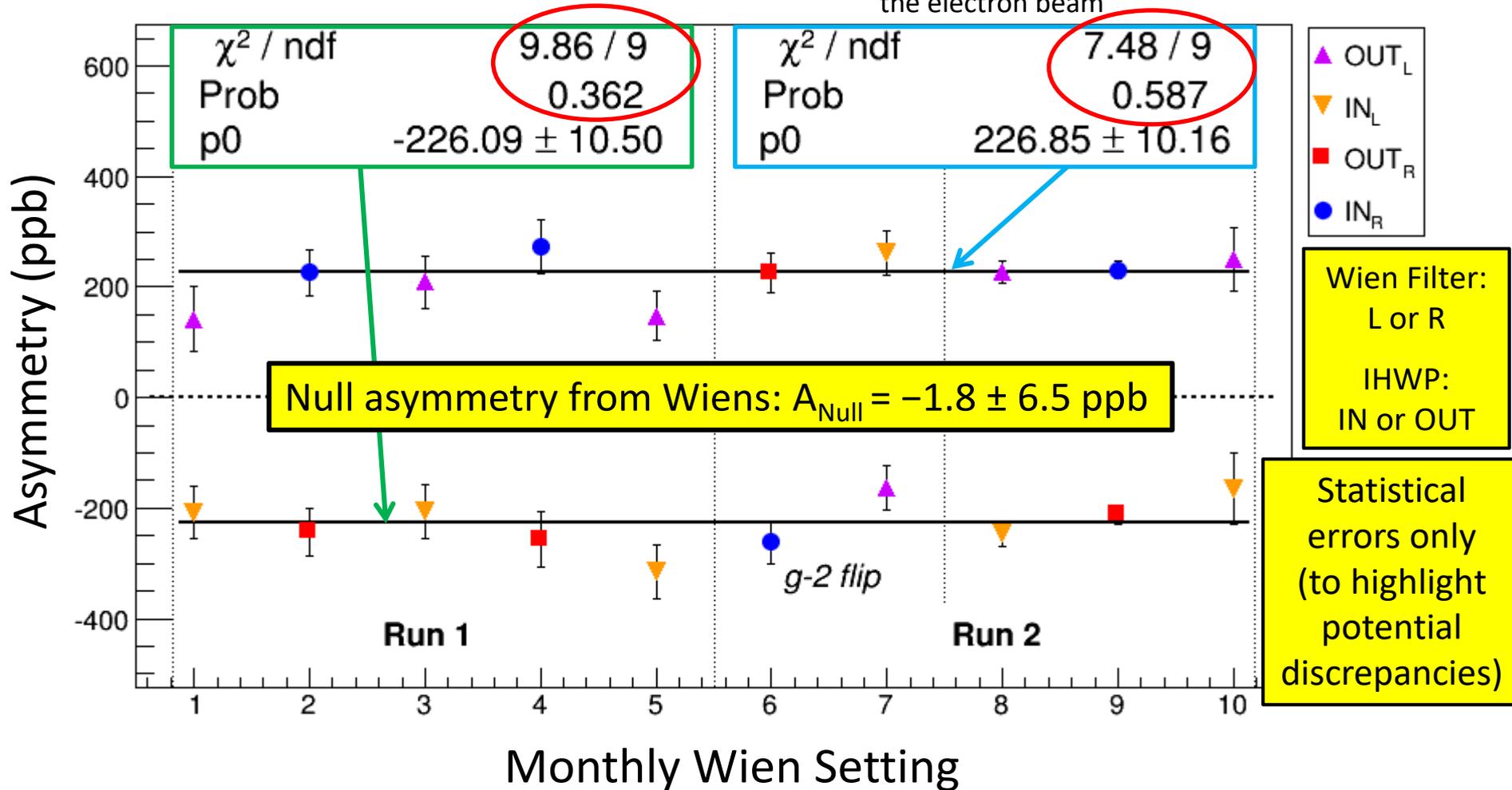
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# *Extracting $Q_w(p)$ from $A_{ep}$*



# Determining $Q_w(p)$

•  $A_{ep} = \left[ \frac{\sigma^+ - \sigma^-}{\sigma^+ + \sigma^-} \right] \propto \frac{\text{diagram with } \gamma \text{ and } Z^0 \text{ exchange}}{\text{diagram with } \gamma \text{ exchange}^2}$ , where  $\sigma^\pm = \vec{e}p$  x-sec for e's of helicity  $\pm 1$

•  $A_{ep} = \left[ \frac{G_F Q^2}{4\pi\alpha\sqrt{2}} \right] \frac{\epsilon G_E^{p\gamma} G_E^{pZ} + \tau G_M^{p\gamma} G_M^{pZ} - (1-4\sin^2\theta_w)\epsilon' G_M^{p\gamma} G_A^Z}{\epsilon(G_E^{p\gamma})^2 + \tau(G_M^{p\gamma})^2}$  tree level

-  $G_{E,M}^{pZ} = \underbrace{(1 - 4\sin^2\theta_w)}_{Q_W^p} \underbrace{G_{E,M}^{p\gamma} - G_{E,M}^{n\gamma}}_{\text{EM FFs}} - \underbrace{G_{E,M}^S}_{\text{Strange FFs}}$  is the proton's neutral weak FF

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tree level

- $$- G_{E,M}^{pZ} = \underbrace{(1 - 4\sin^2\theta_w)}_{Q_w^p} \underbrace{G_{E,M}^{p\gamma}}_{\text{EM FFs}} - \underbrace{G_{E,M}^{n\gamma}}_{\text{Strange FFs}} - G_{E,M}^S$$

is the proton's neutral weak FF

- $$\text{Recast: } A_{ep}/A_0 \rightarrow \left[ Q_w^p + \underbrace{Q^2 B(Q^2, \theta)}_{\text{hadronic structure (FFs)}} \right], \text{ where } A_0 = \frac{G_F Q^2}{4\pi\alpha\sqrt{2}}$$

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–  $G_{E,M}^{pZ} = \underbrace{(1-4\sin^2\theta_w)}_{Q_w^p} \underbrace{G_{E,M}^{p\gamma}}_{\text{EM FFs}} - \underbrace{G_{E,M}^{n\gamma}}_{\text{EM FFs}} - \underbrace{G_{E,M}^S}_{\text{Strange FFs}}$  is the proton's neutral weak FF

- Recast:  $A_{ep}/A_0 \rightarrow \left[ Q_w^p + \underbrace{Q^2 B(Q^2, \theta)}_{\text{hadronic structure (FFs)}} \right]$ , where  $A_0 = \frac{G_F Q^2}{4\pi\alpha\sqrt{2}}$

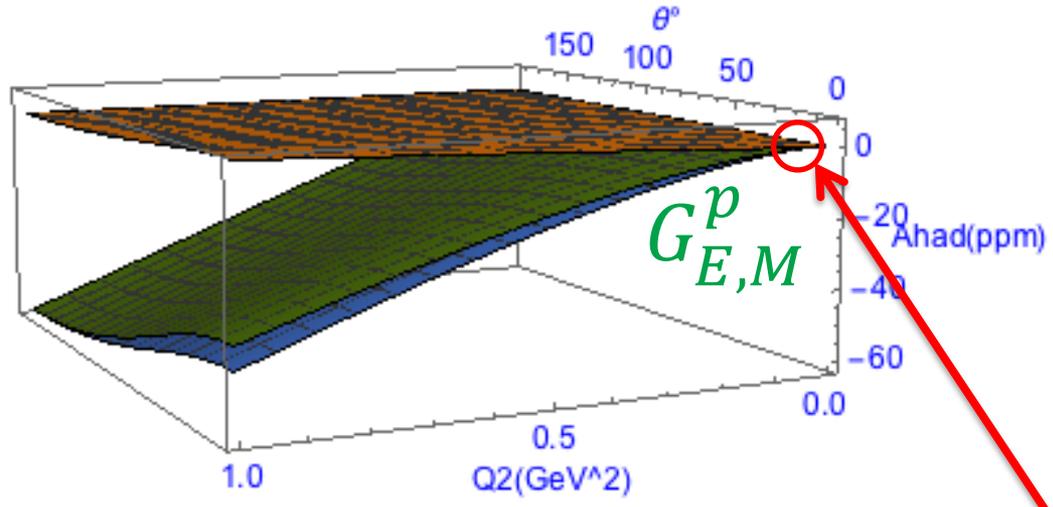
– So in a plot of  $A_{ep}/A_0$  vs  $Q^2$ :

**This Experiment**

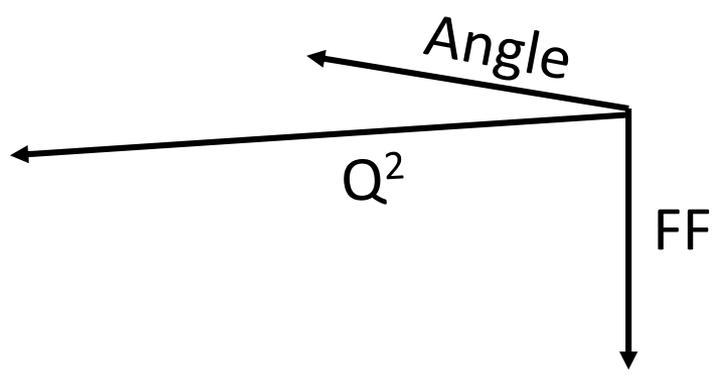
- $Q_w^p$  is the **intercept** (anchored by precise datum near  $Q^2=0$ )
- $B(Q^2, \theta)$  is the **slope** (determined from higher  $Q^2$  PVES data)

$G_{E,M}^p$  is calculated, ~25% of  $A_{ep}$  at Qweak kinematics

AhadE(red), AhadM(blue), AhadTOT(green)



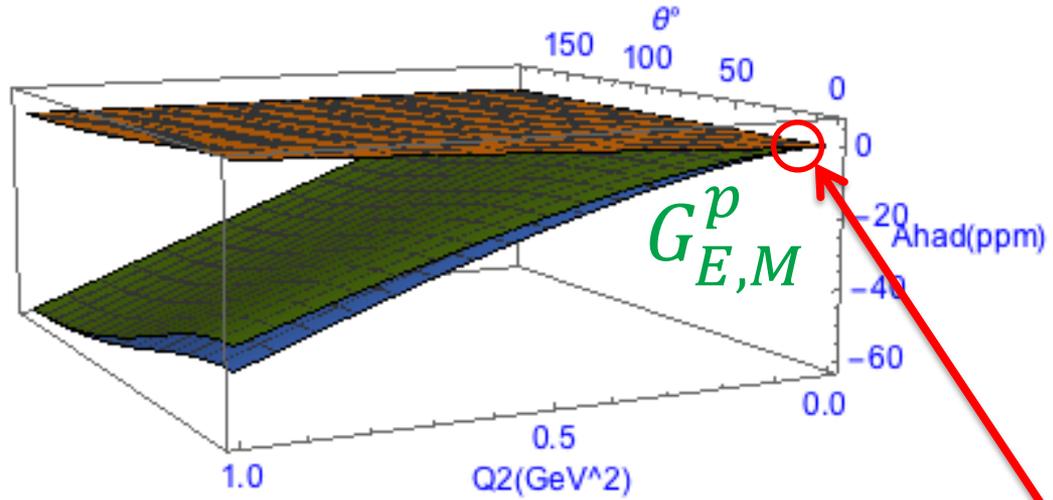
**$A_{EM,Strange,Axial}(Q^2,\theta)$**   
hadronic structure (FFs) minimal at  
Qweak kinematics



The Qweak datum is here

$G_{E,M}^p$  is calculated, ~25% of  $A_{ep}$  at Qweak kinematics

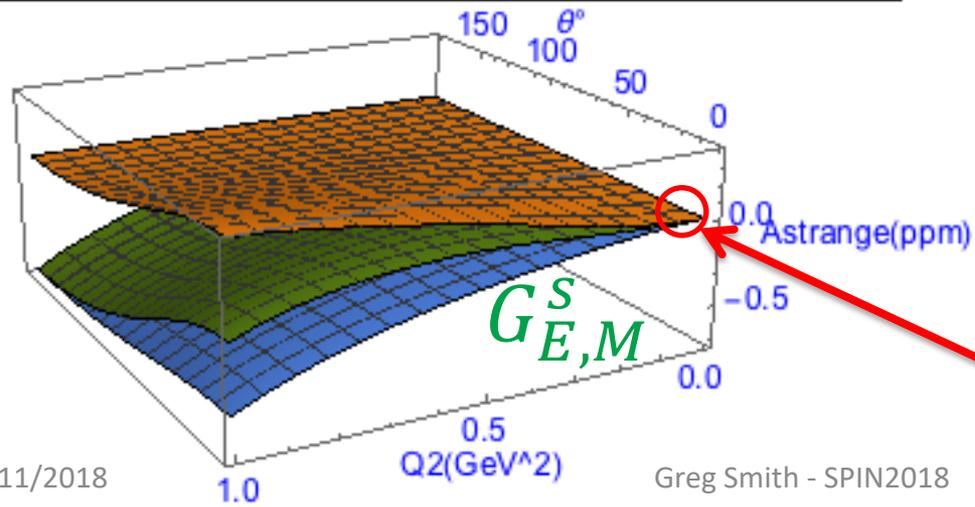
AhadE(red), AhadM(blue), AhadTOT(green)



$A_{EM,Strange,Axial}(Q^2,\theta)$   
hadronic structure (FFs) minimal at  
Qweak kinematics

$G_{E,M}^s$  is fit, and ~1% of  $A_{ep}$  at Qweak kinematics

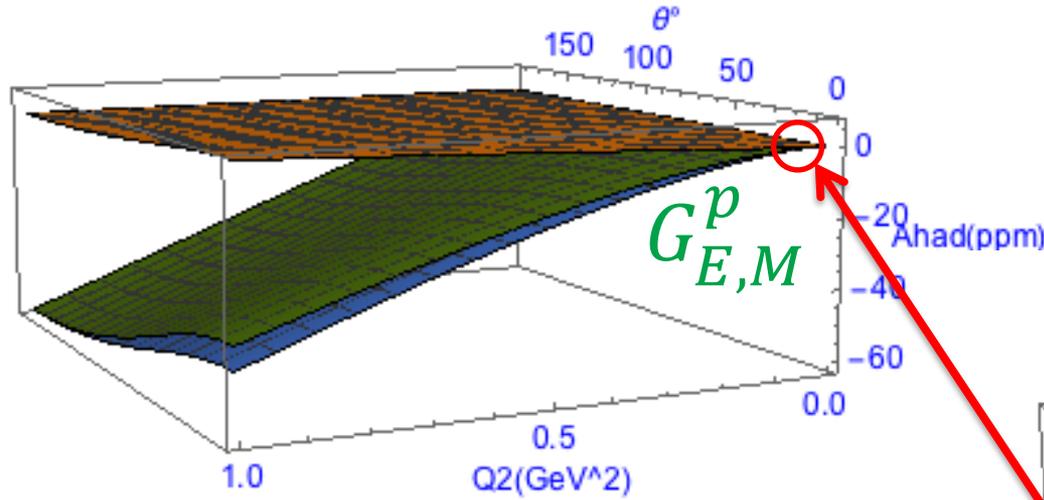
AstrangeE(red), AstrangeM(blue), AstrangeTOT(green)



The Qweak datum is here

$G_{E,M}^p$  is calculated, ~25% of  $A_{ep}$  at Qweak kinematics

AhadE(red), AhadM(blue), AhadTOT(green)

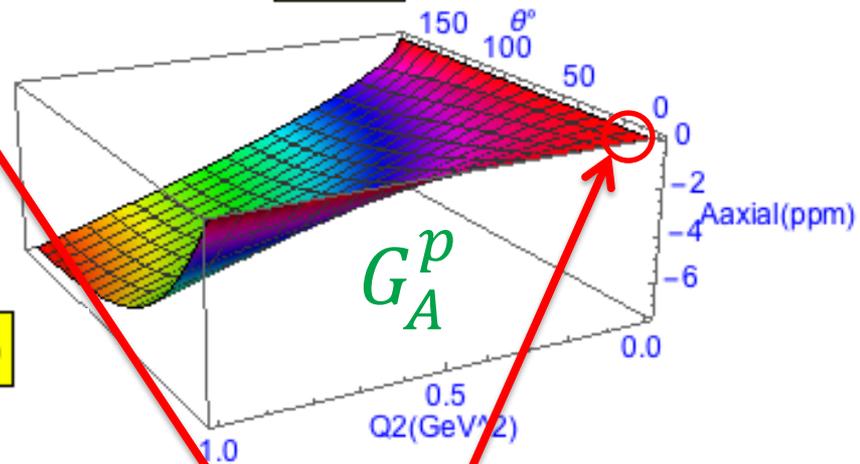


# $A_{EM,Strange,Axial}(Q^2, \theta)$

hadronic structure (FFs) minimal at Qweak kinematics

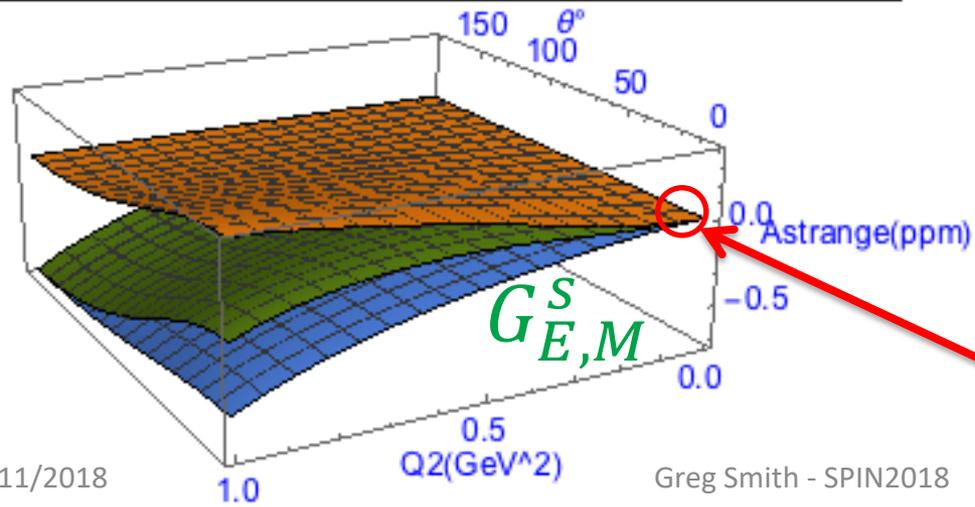
$G_A^p$  is fit, & ~2% of  $A_{ep}$  at Qweak kinematics

Aaxial



$G_{E,M}^s$  is fit, and ~1% of  $A_{ep}$  at Qweak kinematics

AstrangeE(red), AstrangeM(blue), AstrangeTOT(green)



The Qweak datum is here

# Global PVES Fit Details

- 5 free parameters ala Young, et al. PRL 99, 122003 (2007):

- $C_{1u}, C_{1d}, \rho_s, \mu_s$  & isovector axial FF  $G_A^Z$

Note:  $Q_W(p) = -2(2C_{1u} + C_{1d})$

- $G_E^S = \rho_s Q^2 G_D, G_M^S = \mu_s G_D$ , &  $G_A^Z$  use  $G_D$  where
  - $G_D = (1 + Q^2/\lambda^2)^{-2}$  with  $\lambda = 1 \text{ GeV}/c$

- Employs all PVES data up to  $Q^2 = 0.63 \text{ (GeV}/c)^2$

- On p, d, &  $^4\text{He}$  targets, forward and back-angle data
  - SAMPLE, HAPPEX, G0, PVA4 & this expt. (Qweak):

Tgt	# pts
p	27
d	6
$^4\text{He}$	2
$\chi^2/\nu$	1.2

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- Uses constraints on isoscalar axial FF  $G_A^Z(T=0)$

- Zhu, et al., PRD 62, 033008 (2000)

- All ep data corrected for E &  $Q^2$  dependence of  $\square_{\gamma Z}$  RC

- Hall et al., PRD88, 013011 (2013) & Gorchtein et al., PRC84, 015502 (2011)

- Effects of varying  $Q^2, \theta$ , &  $\lambda$  studied, found to be small

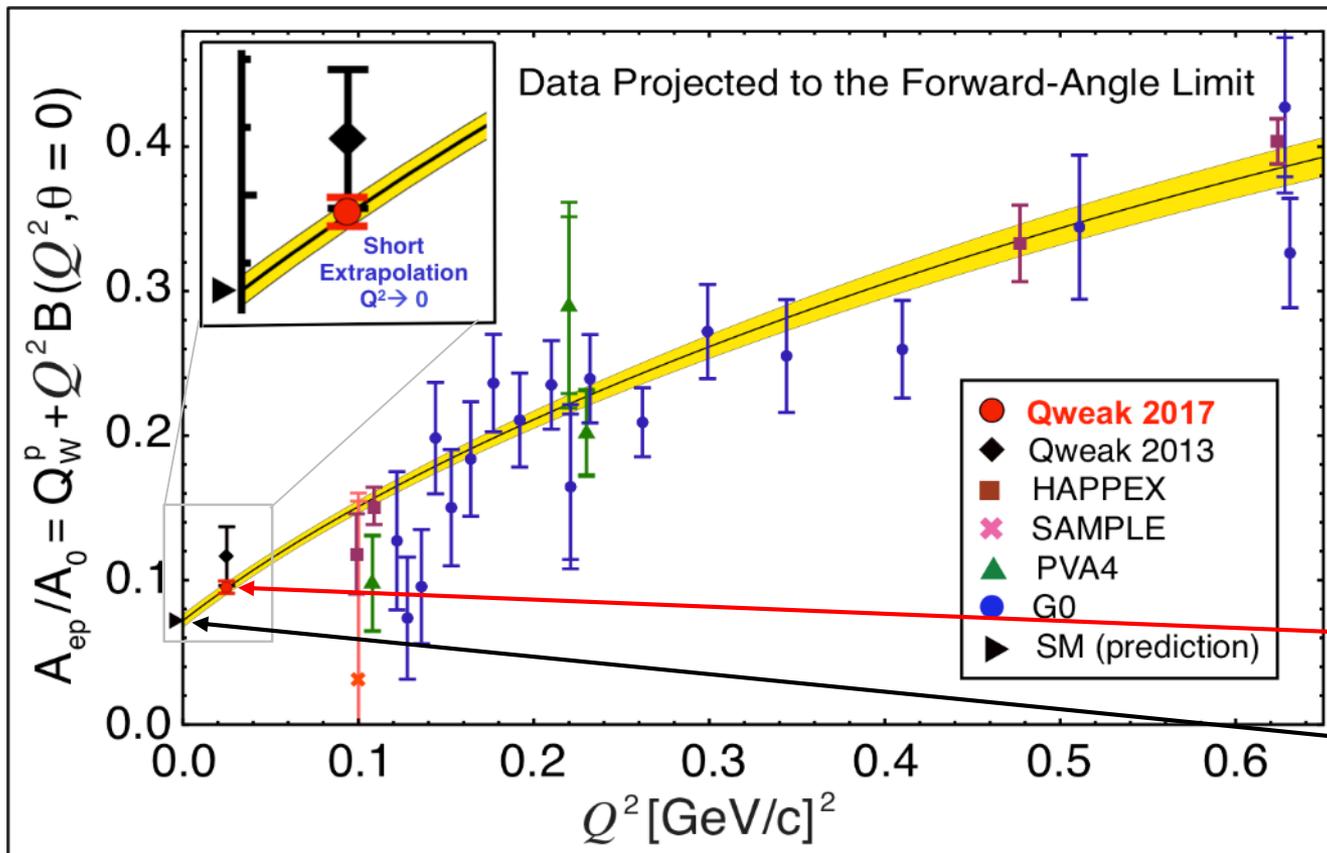
# Extracting the Weak Charge from the Asymmetry

$$A_{ep} = -226.5 \pm 7.3(\text{stat}) \pm 5.8(\text{syst}) \text{ ppb at } \langle Q^2 \rangle = 0.0249 \text{ (GeV/c)}^2$$

Global fit of world PVES data up to  $Q^2 = 0.63 \text{ GeV}^2$  to extract proton's weak charge:

$$A_{ep}/A_0 = Q_W^p + Q^2 B(Q^2, \theta),$$

$$A_0 = \left[ \frac{-G_F Q^2}{4\pi\alpha\sqrt{2}} \right].$$



34 entries in PVES database  
(e-p, e-d, e-<sup>4</sup>He)

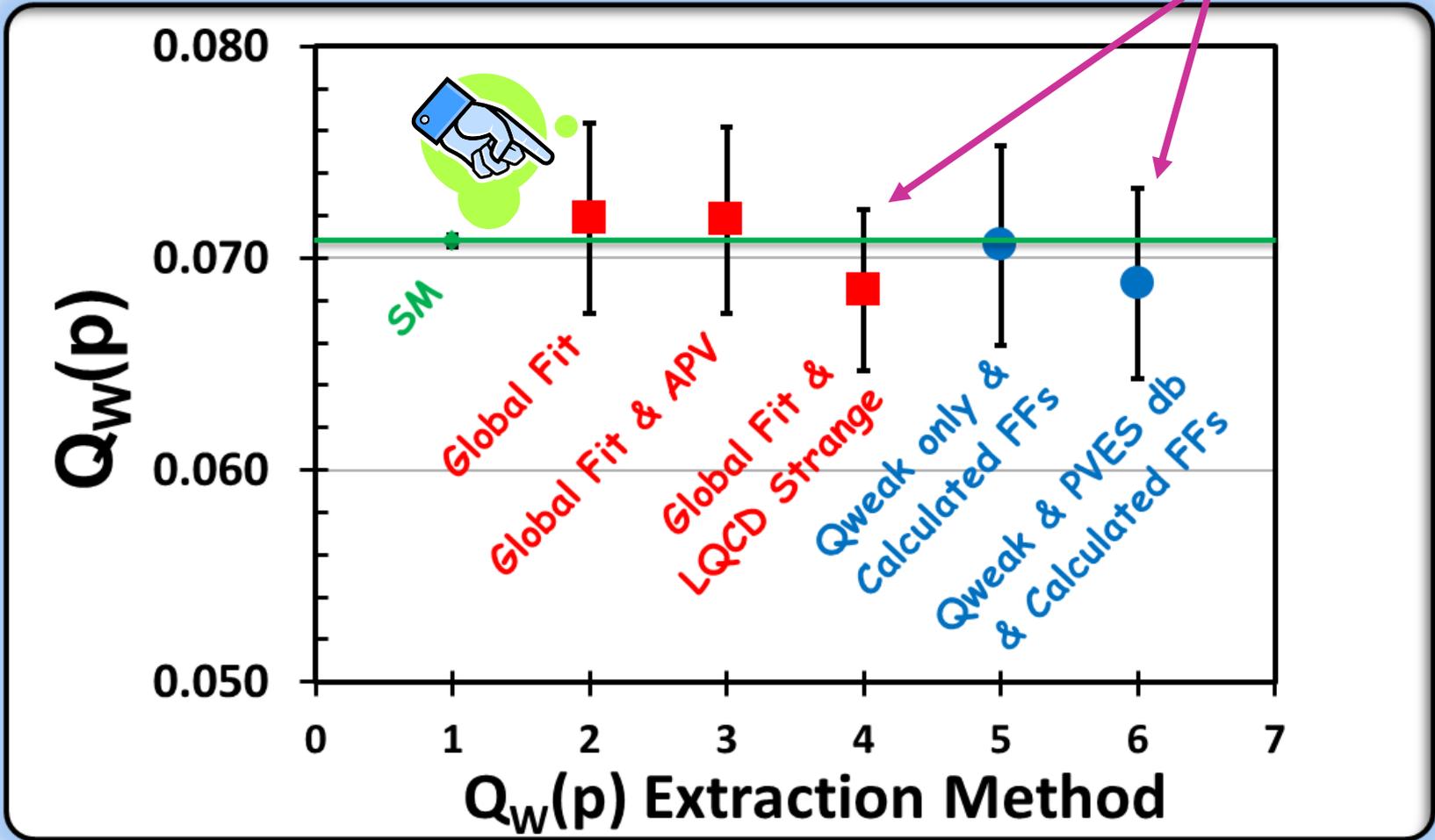
**$Q_W^p$  (this result):**  
 **$0.0719 \pm 0.0045$**   
 **$Q_W^p$  (SM):**  
 **$0.0708 \pm 0.0003$**

This global fit is our primary result for  $Q_w^p$ .

Now explore the sensitivity of this result to variations in the experimental and theoretical input used to determine it:

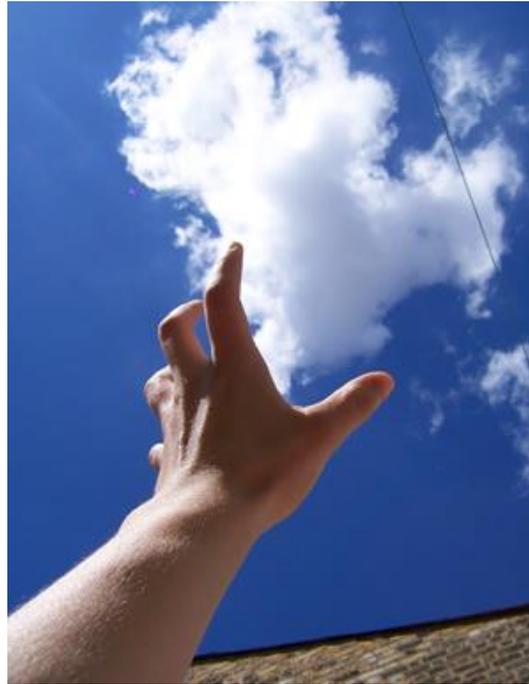
# Consistency

Lattice strange FFs are in slight tension with the fitted strange FFs at higher  $Q^2$

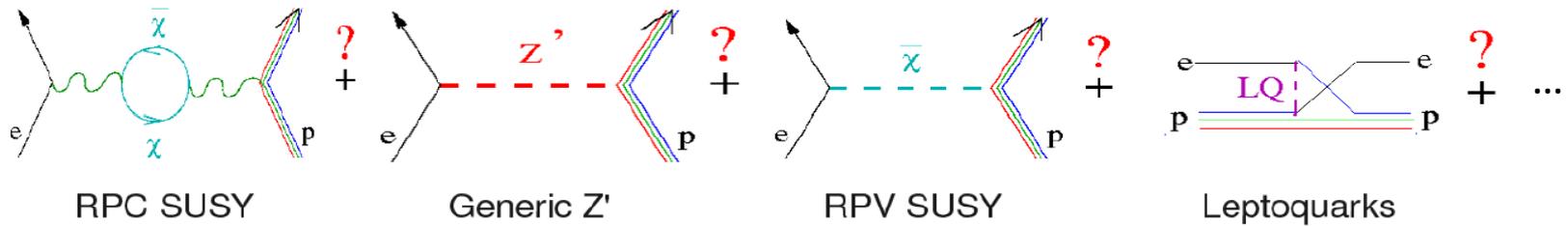


# Multi-TeV Mass Reach $\Lambda$

(for coupling strength  $g$ )

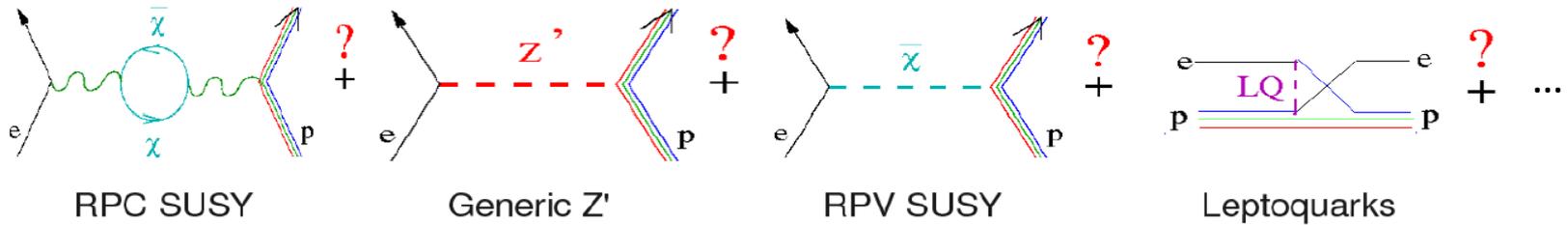


# Sensitivity to New Physics at TeV Scales



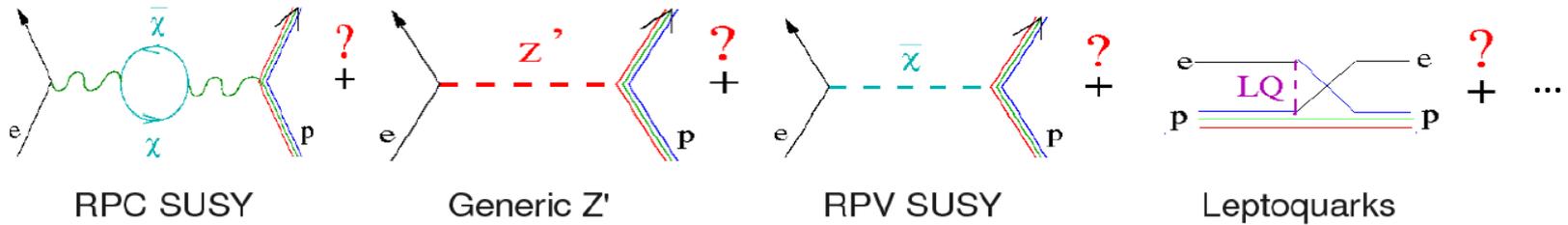
- Let the quark **flavor dependence** of new physics be *completely arbitrary*:
  - Ala (Young, et al. PRL99, 122003 (2007))
  - $h_V^u = \cos \theta_h$ ,  $h_V^d = \sin \theta_h$ ,  $\theta_h = \tan^{-1}(N_d/N_u) =$  flavor mixing angle
- Let  $q$  represent the quark flavors  $u, d$  and  $C_{1q}$  is the vector quark coupling

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- Parameterize **new physics** scenarios in a **general way** with a new contact interaction in the Lagrangian characterized by **mass scale  $\Lambda$  & coupling  $g$** :
  - General Case:  $L_{msrd}^{PV} = L_{NC}^{SM} + L_{PV}^{new} = \bar{e} \gamma_\mu \gamma_5 e \sum_q \left( \frac{G_F}{\sqrt{2}} C_{1q} + \frac{g^2}{\Lambda^2} h_V^q \right) \bar{q} \gamma^\mu q$
  - i.e.  $(C_{1u}^{msrd}, C_{1d}^{msrd}) = (C_{1u}^{SM}, C_{1d}^{SM}) + r(\cos \theta_h + \sin \theta_h)$

# Sensitivity to New Physics at TeV Scales



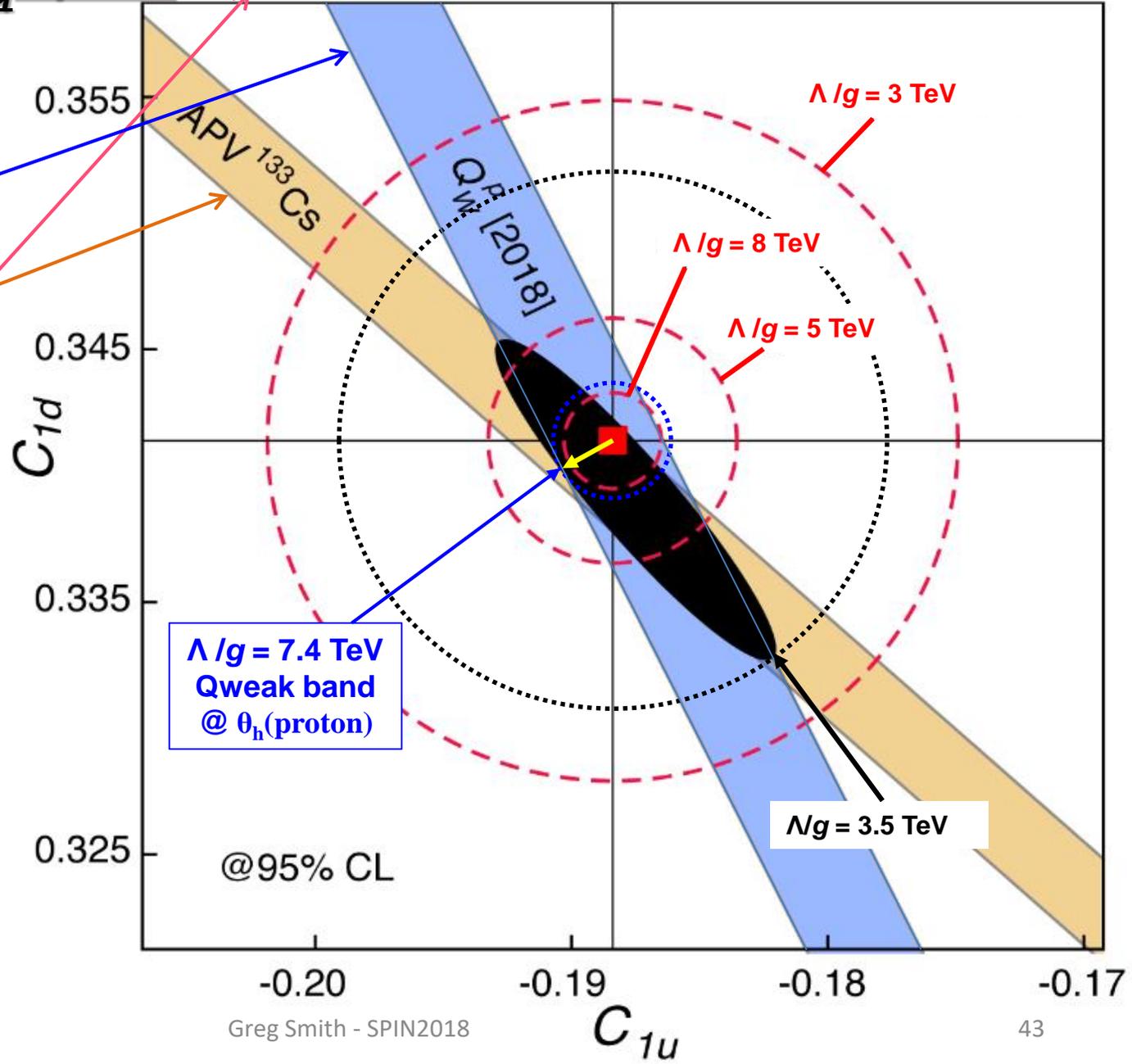
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  - i.e.  $(C_{1u}^{msrd}, C_{1d}^{msrd}) = (C_{1u}^{SM}, C_{1d}^{SM}) + r(\cos \theta_h + \sin \theta_h)$
  - But this is just the polar form of a circle in  $C_{1q}$  space!
    - with center at  $(C_{1u}^{SM}, C_{1d}^{SM})$  and
    - radius  $r = \frac{\sqrt{2}}{G_F} \left( \frac{g}{\Lambda} \right)^2$

This is a model-independent result  
 For SL PV 4 point contact interactions  
 What do these circles look like?

# $\Lambda/g$ Circles in $C_{1q}$ Space

$$Q_w(Z,N) = -2\{C_{1u}(2Z + N) + C_{1d}(Z + 2N)\}$$

- The  $Q_w$  results on the proton (this expt.) and on cesium (APV) provide independent constraints (bands) on the vector quark couplings  $C_{1q}$ .
- Together the H & Cs constraints form an improved (elliptical) constraint.



# Sensitivity to New Physics Coupling to the Proton

- Proton:  $\theta_h = \tan^{-1}(1/2) = 26.6^\circ$

– Then  $\frac{\Lambda_{\pm}}{g} = v \sqrt{\frac{4\sqrt{5}}{|Q_W^p \pm 1.96\Delta Q_W^p - Q_W^p(SM)|}}$

J. Erler et al,  
ARNS64, 269  
(2014)

$$= \frac{7.4 \text{ TeV } (\Lambda_+/g)}{8.4 \text{ TeV } (\Lambda_-/g)}$$



where:

- $v = (G_F \sqrt{2})^{-1/2} = 246 \text{ GeV} = \text{EW (Fermi) scale} = \text{vacuum expectation value of the Higgs field, and}$
- $G_F = \text{Fermi coupling constant} = 1.166 \times 10^{-5} \text{ GeV}^{-2}$

# Specific Mass Reach Examples

We rule out new PV SL physics below these mass scales  $\Lambda$ , using the coupling strength “g” assumed for that new physics

- For the “extreme” contact interaction corresponding to e q compositeness,  $g^2 = 4\pi \rightarrow \Lambda_+ = 26.3 \text{ TeV}$  (Eichten et al., PRL50, 811 (1983))

# Specific Mass Reach Examples

We rule out new PV SL physics below these mass scales  $\Lambda$ , using the coupling strength "g" assumed for that new physics

- For the "extreme" contact interaction corresponding to e q compositeness,  $g^2 = 4\pi \rightarrow \Lambda_+ = 26.3 \text{ TeV}$  (Eichten et al., PRL50, 811 (1983))
- At the other extreme, the coupling usually assumed for leptoquarks is  $g^2 = 4\pi\alpha \rightarrow \Lambda_+ = 2.3 \text{ TeV}$ .

2017 Review of Particle Physics.  
C. Patrignani *et al.* (Particle Data Group), Chin. Phys. C, 40, 100001 (2016) and 2017 update.

**MASS LIMITS for Leptoquarks from Single Production** INSPIRE search

These limits depend on the  $q - \ell$ -leptoquark coupling  $g_{LQ}$ . It is often assumed that  $g_{LQ}^2/4\pi=1/137$ . Limits shown are for a scalar, weak isoscalar, charge  $-1/3$  leptoquark.

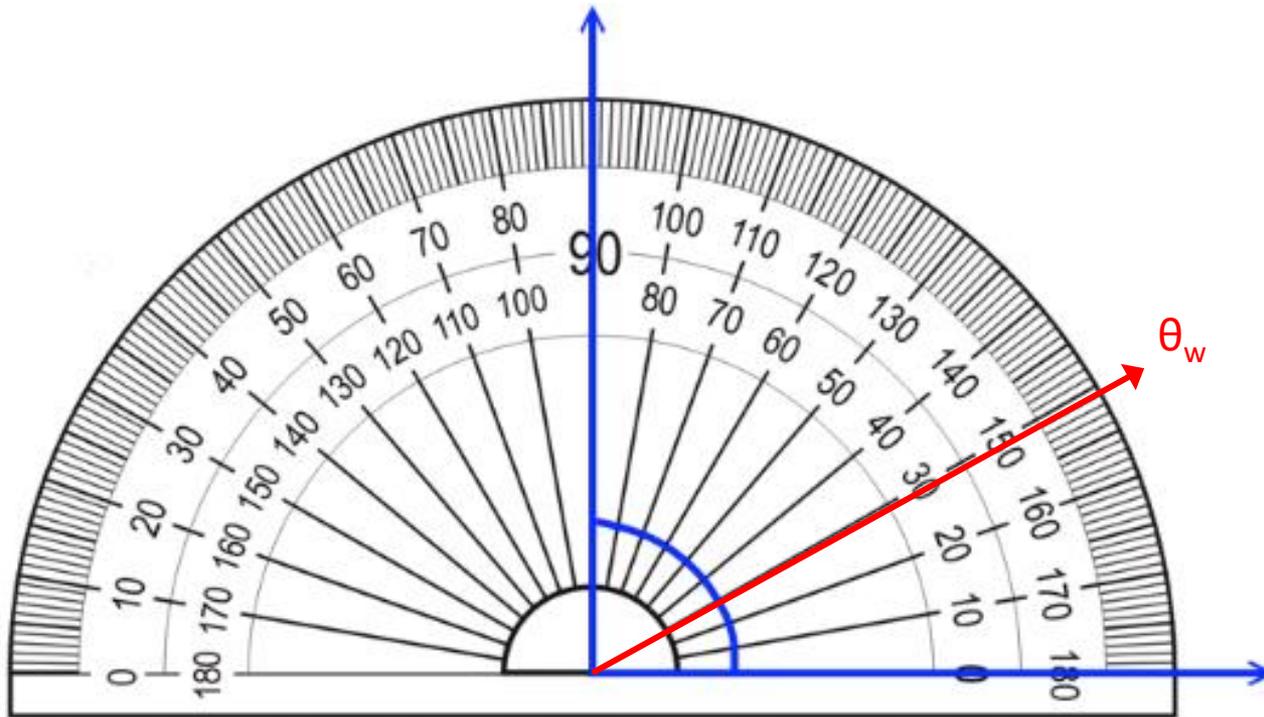
$g^2=4\pi\alpha \rightarrow g=0.3$

VALUE (GeV)	CL%	DOCUMENT ID	TECN	
> 1755	95	1 KHACHATRYAN 2016AG	CMS	First generation
> 660	95	2 KHACHATRYAN 2016AG	CMS	Second generation
> 304	95	3 ABRAMOWICZ 2012A	ZEUS	First generation
> 73	95	4 ABREU 1993J	DLPH	Second generation

ep → 09/11/2018

LQ's: heavy (think Pb) color-triplet bosons postulated in SM extensions like technicolor & GUTs. Carry both lepton & baryon #s. Could be part of why there are 3 generations of quarks & leptons.

# The weak mixing angle

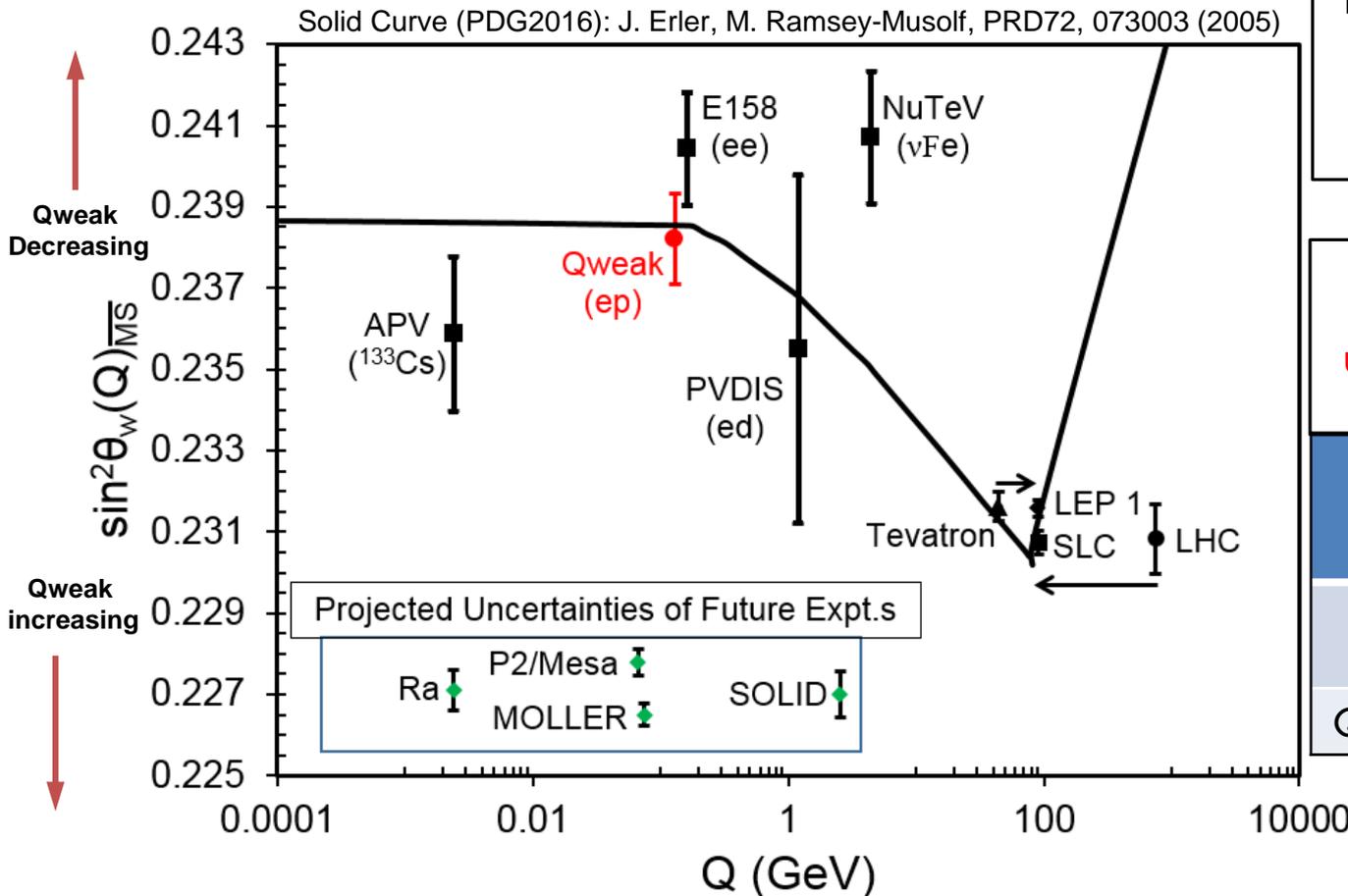


- Not directly predicted by SM, but by other msrmnts of SM quantities. EW theory predicts  $\theta_w$  is a  $f(Q)$ .

# Running of the Weak Mixing Angle $\sin^2\vartheta_W$



$$4 \sin^2 \theta_W(0) = 1 - \frac{Q_W^p - \square_{WW} - \square_{ZZ} - \square_{\gamma Z}(0)}{(\rho + \Delta_e)} + \Delta'_e$$



Expt's differ in sensitivity to classes of new physics.

Qweak sensitive to scalar lepto-quarks, E158 is not.

Accidental suppression of  $Q_W(p)$  in SM makes it unusually sensitive to s2tw.  
Example:

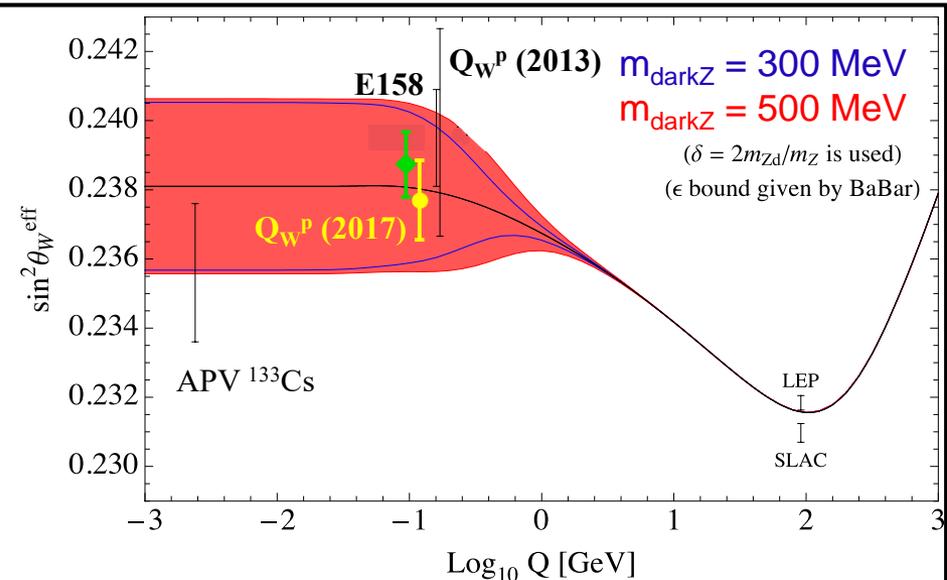
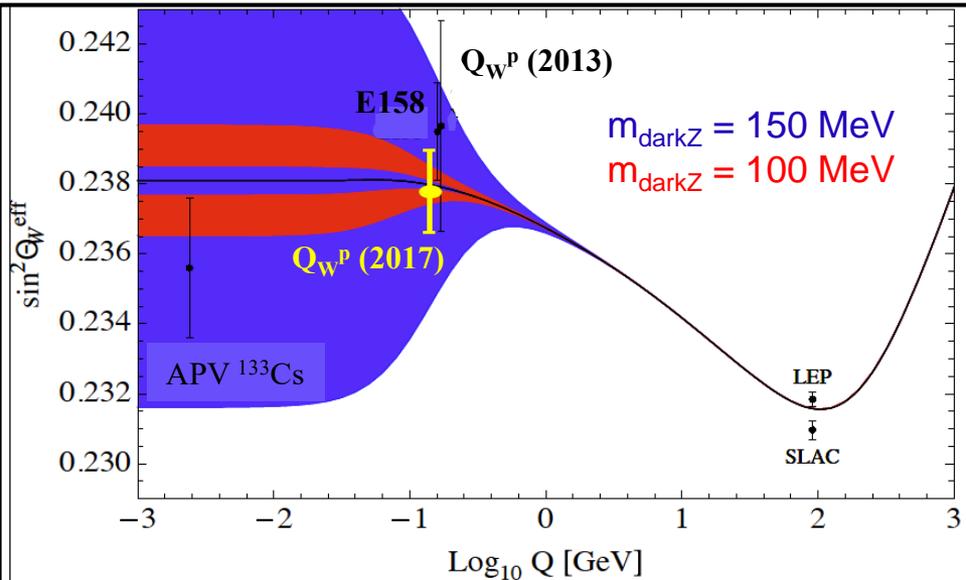
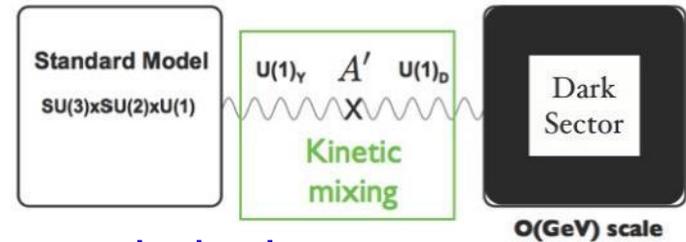
	Weak Charge Precision	$\sin^2\theta_W$ precision
APV: $^{133}\text{Cs}$	0.59%	0.81%
Qweak p	6.3%	0.46%

# Implications for “Dark Parity Violation”

“Dark photon” – possible portal for new force to communicate with SM?

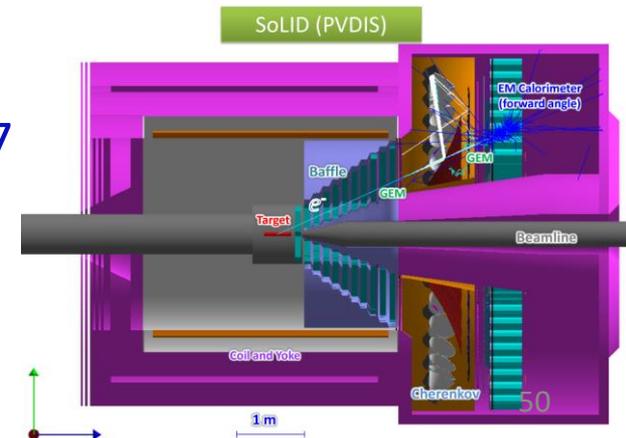
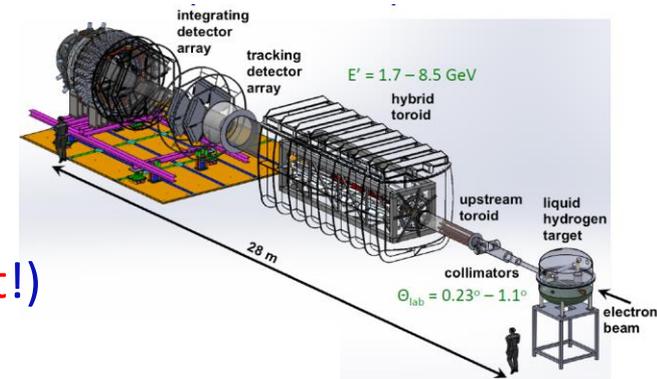
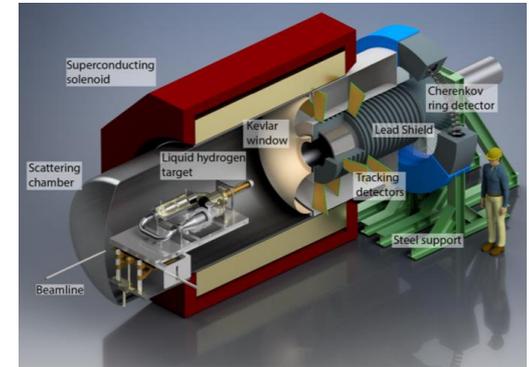
(Davoudiasl, Lee, Marciano, Phys. Rev. D **89**, 095006 (2014), & Marciano (private communication)

- New source of low-energy PV through mass mixing between  $Z_0$  and  $Z_d$
- Sensitivity is at low  $Q$ , not  $Z$ -pole
- Complementary to direct searches for heavy dark photons
  - observable even if direct decay modes are “invisible”
- **New  $Q_{\text{weak}}$  point rules out some of the allowed region**



# Future PVES Expt's

- Qweak**  $\rightarrow$  P2 @ MESA/Mainz:  $\bar{e}p \rightarrow ep$   $A_{ep}$  &  $Q_W^p$ 
  - Weak vector quark charges,  $\Delta\sin^2\theta_W$  to  $\pm 0.00033$
  - $\Lambda/g$  to **13.8 TeV** Installs 2021? arXiv: 1802.04759.
  - $A_{ep} \sim -40 \pm 0.56$  ppb (1.4%) (requires 0.25 ppb (syst)!)  
 $Q^2=0.0045$  GeV<sup>2</sup>. 155 MeV. 60 cm LH2 (3+ kW). 150  $\mu$ A.
- E158**  $\rightarrow$  MOLLER @ JLab:  $\bar{e}e \rightarrow ee$   $A_{ee}$  &  $Q_W^e$ 
  - Weak charge of electron,  $\Delta\sin^2\theta_W$  to  $\pm 0.00028$
  - $\Lambda/g$  to **7.5 TeV**. Installs 2023? arXiv:1411.4088.
  - $A_{ep} \sim -33 \pm 0.84$  ppb (2.4%) (requires 0.4 ppb syst!)
  - $\theta=0.3^\circ-1^\circ$ . 11 GeV. 1.5 m LH2 (5 kW). 65  $\mu$ A.
- PVDIS**  $\rightarrow$  SOLID @ JLab:  $\bar{e}d$  DIS
  - Weak axial quark charges,  $\Delta\sin^2\theta_W$  to  $\pm 0.00057$
  - $\Lambda/g$  to **6.2 TeV**. Installs 2028? arXiv:1409.7741.
- APV(Cs)**  $\rightarrow$  APV(Fr, Ra)?  $Q_W^A$



# The Qweak Collaboration

101 collaborators 26 grad students  
11 post docs 27 institutions

## Institutions:

- 1 University of Zagreb
- 2 College of William and Mary
- 3 A. I. Alikhanyan National Science Laboratory
- 4 Massachusetts Institute of Technology
- 5 Thomas Jefferson National Accelerator Facility
- 6 Ohio University
- 7 Christopher Newport University
- 8 University of Manitoba,
- 9 University of Virginia
- 10 TRIUMF
- 11 Hampton University
- 12 Mississippi State University
- 13 Virginia Polytechnic Institute & State Univ
- 14 Southern University at New Orleans
- 15 Idaho State University
- 16 Louisiana Tech University
- 17 University of Connecticut
- 18 University of Northern British Columbia
- 19 University of Winnipeg
- 20 George Washington University
- 21 University of New Hampshire
- 22 Hendrix College, Conway
- 23 University of Adelaide
- 24 Syracuse University
- 25 Duquesne University



D. Androic,<sup>1</sup> D.S. Armstrong,<sup>2</sup> A. Asaturyan,<sup>3</sup> T. Averett,<sup>2</sup> J. Balewski,<sup>4</sup> K. Bartlett,<sup>2</sup> J. Beaufait,<sup>5</sup> R.S. Beminiwatha,<sup>6</sup> J. Benesch,<sup>5</sup> F. Benmokhtar,<sup>7,25</sup> J. Birchall,<sup>8</sup> R.D. Carlini,<sup>5,2</sup> G.D. Cates,<sup>9</sup> J.C. Cornejo,<sup>2</sup> S. Covrig,<sup>5</sup> M.M. Dalton,<sup>9</sup> C.A. Davis,<sup>10</sup> W. Deconinck,<sup>2</sup> J. Diefenbach,<sup>11</sup> J.F. Dowd,<sup>2</sup> J.A. Dunne,<sup>12</sup> D. Dutta,<sup>12</sup> W.S. Duvall,<sup>13</sup> M. Elaasar,<sup>14</sup> W.R. Falk\*,<sup>8</sup> J.M. Finn\*,<sup>2</sup> T. Forest,<sup>15,16</sup> C. Gal,<sup>9</sup> D. Gaskell,<sup>5</sup> M.T.W. Gericke,<sup>8</sup> J. Grames,<sup>5</sup> V.M. Gray,<sup>2</sup> K. Grimm,<sup>16,2</sup> F. Guo,<sup>4</sup> J.R. Hoskins,<sup>2</sup> K. Johnston,<sup>16</sup> D. Jones,<sup>9</sup> M. Jones,<sup>5</sup> R. Jones,<sup>17</sup> M. Kargiantoulakis,<sup>9</sup> P.M. King,<sup>6</sup> E. Korkmaz,<sup>18</sup> S. Kowalski,<sup>4</sup> J. Leacock,<sup>13</sup> J. Leckey,<sup>2</sup> A.R. Lee,<sup>13</sup> J.H. Lee,<sup>6,2</sup> L. Lee,<sup>10</sup> S. MacEwan,<sup>8</sup> D. Mack,<sup>5</sup> J.A. Magee,<sup>2</sup> R. Mahurin,<sup>8</sup> J. Mammei,<sup>13</sup> J.W. Martin,<sup>19</sup> M.J. McHugh,<sup>20</sup> D. Meekins,<sup>5</sup> J. Mei,<sup>5</sup> R. Michaels,<sup>5</sup> A. Micherdzinska,<sup>20</sup> A. Mkrтчyan,<sup>3</sup> H. Mkrтчyan,<sup>3</sup> N. Morgan,<sup>13</sup> K.E. Myers,<sup>20</sup> A. Narayan,<sup>12</sup> L.Z. Ndukum,<sup>12</sup> V. Nelyubin,<sup>9</sup> H. Nuhait,<sup>16</sup> Nuruzzaman,<sup>11,12</sup> W.T.H van Oers,<sup>10,8</sup> A.K. Opper,<sup>20</sup> S.A. Page,<sup>8</sup> J. Pan,<sup>8</sup> K.D. Paschke,<sup>9</sup> S.K. Phillips,<sup>21</sup> M.L. Pitt,<sup>13</sup> M. Poelker,<sup>5</sup> J.F. Rajotte,<sup>4</sup> W.D. Ramsay,<sup>10,8</sup> J. Roche,<sup>6</sup> B. Sawatzky,<sup>5</sup> T. Seva,<sup>1</sup> M.H. Shabestari,<sup>12</sup> R. Silwal,<sup>9</sup> N. Simicevic,<sup>16</sup> G.R. Smith,<sup>5</sup> P. Solvignon\*,<sup>5</sup> D.T. Spayde,<sup>22</sup> A. Subedi,<sup>12</sup> R. Subedi,<sup>20</sup> R. Suleiman,<sup>5</sup> V. Tadevosyan,<sup>3</sup> W.A. Tobias,<sup>9</sup> V. Tvaskis,<sup>19,8</sup> B. Waidyawansa,<sup>6</sup> P. Wang,<sup>8</sup> S.P. Wells,<sup>16</sup> S.A. Wood,<sup>5</sup> S. Yang,<sup>2</sup> R.D. Young,<sup>23</sup> P. Zang,<sup>24</sup> and S. Zhamkochyan<sup>3</sup>

Spokespersons Project Manager Grad Students \*deceased



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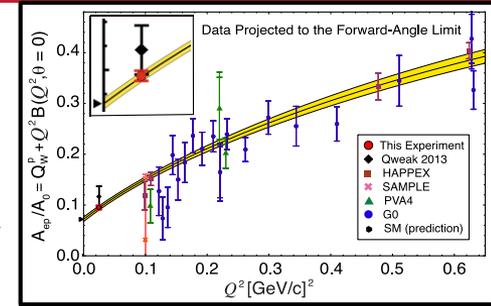
# Summary: $Q_{\text{weak}}$ expt – precision msrmnt of PV asymmetry in elastic e-p scattering → proton's weak charge



$$A = -226.5 \pm 9.3 \text{ ppb}$$
$$Q_W^p \text{ (this result)} = 0.0719 \pm 0.0045$$
$$Q_W^p \text{ (SM)} = 0.0708 \pm 0.0003$$

## Implications:

- Msrd  $Q_W^p$  in good agreement with SM  
— Robust result to changes in method used to obtain it



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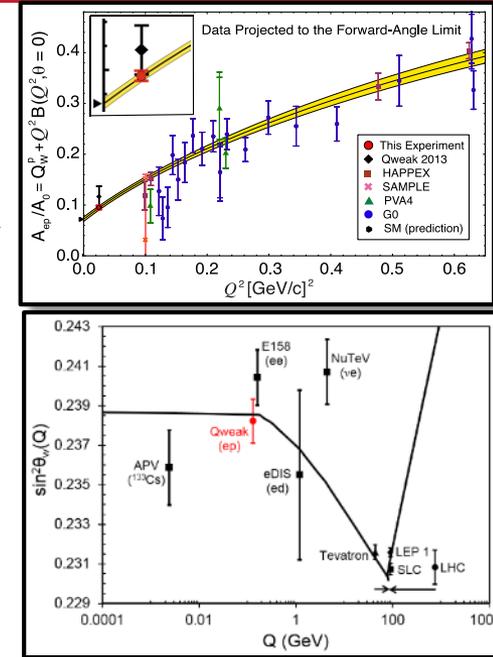
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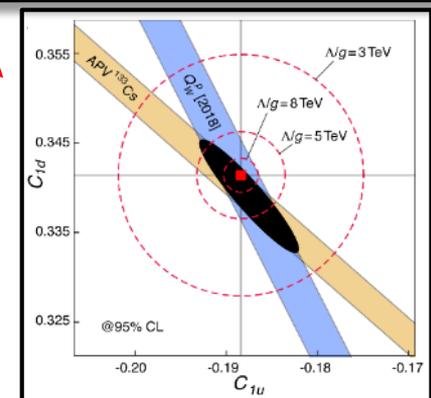
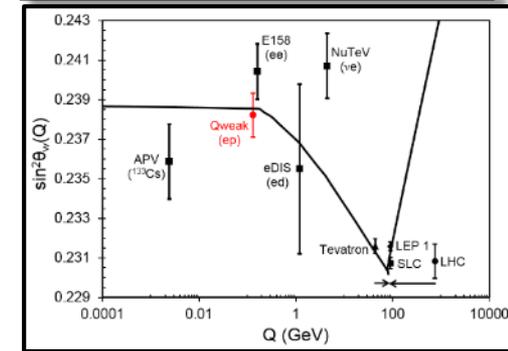
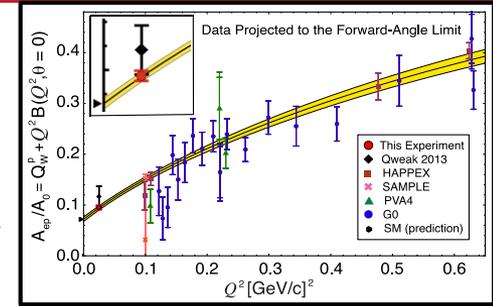
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- Mass reach for new neutral-current semi-leptonic PV physics ruled out at 95% CL for:
  - $|N/g| < 7.4 \text{ TeV}$  ( $< 3.5 \text{ TeV}$  for arbitrary flavor ratios)



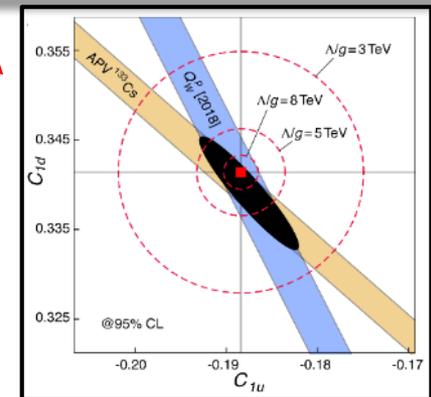
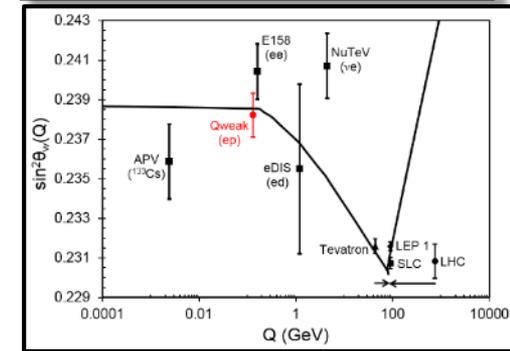
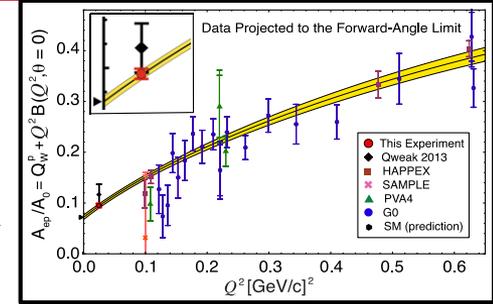
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  - $\Lambda/g < 7.4 \text{ TeV}$  ( $< 3.5 \text{ TeV}$  for arbitrary flavor ratios)
- Will play a role in future analyses of bounds (or discoveries) of a variety of new BSM physics
- Builds scientific & technical foundation for next generation of measurements



# *Done*



# SM Tests: Past & Future Precision Low Energy Parity Violation Measurements

$\Delta / g_{new\ physics}$  @ 95% CL using formalism of  
 Erler, et.al.- arXiv:1401.6199v1 [hep-ph] 23 Jan 2014

Experiment	% Precision	$\Delta \sin^2 \theta_w$	$\Delta / g$ [TeV] (mass reach)	Status
SLAC-E122	8.3	0.011	1.5	published
SLAC-E122	110	0.44	0.25	published
APV ( $^{205}\text{TI}$ )	3.2	0.011	3.8	published
APV ( $^{133}\text{Cs}$ )	0.58	0.0019	9.1	published
SLAC-E158	14	0.0013	4.8	published
Jlab-Hall A	4.1	0.0051	2.2	published
Jlab-Hall A	61	0.051	0.82	published
<b>JLab-Qweak (p)</b>	<b>6.2</b>	<b>0.0011</b>	<b>7.4</b>	<b>2017</b>
JLab-SoLID	0.6	0.00057	6.2	conceptual
JLab-MOLLER	2.3	0.00026	11.0	seeking funding
Mainz-P2	2.0	0.00036	13.8	funded (>2020)
APV ( $^{225}\text{Ra}^+$ )	0.5	0.0018	9.6	
APV ( $^{213}\text{Ra}^+ / ^{225}\text{Ra}^+$ )	0.1	0.0037	4.5	
PVES ( $^{12}\text{C}$ )	0.3	0.0007	14	

# Ancillary Measurements

Qweak made several ancillary measurements to determine and constrain background processes and corrections – many will result in physics publications

- PV asymmetry:
  - elastic  $^{27}\text{Al}$
  - $\text{N} \rightarrow \text{D}$   
( $E = 1.16 \text{ GeV}, 0.877 \text{ GeV}$ )
  - Near  $W = 2.5 \text{ GeV}$   
(related to gZ box)
  - Pion photoproduction  
( $E = 3.3 \text{ GeV}$ )
- PC Transverse asymmetry:
  - elastic ep
  - elastic  $^{27}\text{Al}$ , Carbon
  - $\text{N} \rightarrow \text{D}$
  - Møller
  - Near  $W = 2.5 \text{ GeV}$
  - Pion photoproduction  
( $E = 3.3 \text{ GeV}$ )

# Main Uncertainties in the Asymmetry Measurement

All uncertainties in ppb	Run 1	Run 2	Combined
Charge Normalization: $A_{BCM}$	5.1	2.3	Note: correlations between factors
Beamline Background: $A_{BB}$	5.1	1.2	
Beam Asymmetries: $A_{beam}$	4.7	1.2	
Rescattering bias: $A_{bias}$	3.4	3.4	
Beam Polarization: $P$	2.2	(1.2)	
Al target windows: $A_{b1}$	(1.9)	1.9	
Kinematics: $R_{Q^2}$	(1.2)	1.3	
Total of others < 5%, incl ()	3.4	2.5	
Total systematic uncertainty	10.1	5.6	5.8
Total statistical uncertainty	15.0	8.3	7.3
Total combined uncertainty	18.0	10.0	9.3 (p = 86%)

$$A_{PV}(4\%) = -279 \pm 31(\text{syst}) \pm 35(\text{stat}) \text{ ppb} = -279 \pm 47 \text{ ppb}$$

$$A_{PV}(\text{full}) = -226.5 \pm 5.8(\text{syst}) \pm 7.3(\text{stat}) \text{ ppb} = -226.5 \pm 9.3 \text{ ppb}$$

09/11/2018

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# All Corrections to the Asymmetry

$$A_{\text{msr}} = A_{\text{raw}} + A_T + A_L + A_{\text{BCM}} + A_{\text{BB}} + A_{\text{beam}} + A_{\text{bias}}$$

$$A_{ep} = R_{\text{tot}} \frac{A_{\text{msr}}/P - \sum_{i=1,3,4} f_i A_i}{1 - \sum_{i=1}^4 f_i}$$

$f_1$ : Al  $f_2$ : beamline  
 $f_3$ : neutrals  $f_4$ : inelastics

$$R_{\text{tot}} = R_{\text{RC}} R_{\text{Det}} R_{\text{Acc}} R_{Q^2}$$

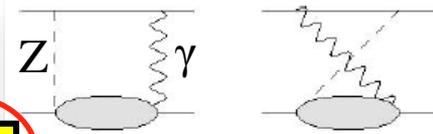
Quantity	Run 1	Run 2	Correlation
$A_{\text{raw}}$	$-192.7 \pm 13.2$ ppb	$-170.7 \pm 7.3$ ppb	—
$A_T$	$0 \pm 1.1$ ppb	$0 \pm 0.7$ ppb	0
$A_L$	$1.3 \pm 1.0$ ppb	$1.2 \pm 0.9$ ppb	1
$A_{\text{BCM}}$	$0 \pm 4.4$ ppb	$0 \pm 2.1$ ppb	0.67
$A_{\text{BB}}$	$3.9 \pm 4.5$ ppb	$-2.4 \pm 1.1$ ppb	0
$A_{\text{beam}}$	$18.5 \pm 4.1$ ppb	$0.0 \pm 1.1$ ppb	0
$A_{\text{bias}}$	$4.3 \pm 3.0$ ppb	$4.3 \pm 3.0$ ppb	1
$A_{\text{msr}}$	$-164.6 \pm 15.5$ ppb	$-167.5 \pm 8.4$ ppb	—
$P$	$87.66 \pm 1.05$ %	$88.71 \pm 0.55$ %	0.19
$f_1$	$2.471 \pm 0.056$ %	$2.516 \pm 0.059$ %	1
$A_1$	$1.514 \pm 0.077$ ppm	$1.515 \pm 0.077$ ppm	1
$f_2$	$0.193 \pm 0.064$ %	$0.193 \pm 0.064$ %	1
$f_3$	$0.12 \pm 0.20$ %	$0.06 \pm 0.12$ %	1
$A_3$	$-0.39 \pm 0.16$ ppm	$-0.39 \pm 0.16$ ppm	1
$f_4$	$0.018 \pm 0.004$ %	$0.018 \pm 0.004$ %	1
$A_4$	$-3.0 \pm 1.0$ ppm	$-3.0 \pm 1.0$ ppm	1
$R_{\text{RC}}$	$1.010 \pm 0.005$	$1.010 \pm 0.005$	1
$R_{\text{Det}}$	$0.9895 \pm 0.0021$	$0.9895 \pm 0.0021$	1
$R_{\text{Acc}}$	$0.977 \pm 0.002$	$0.977 \pm 0.002$	1
$R_{Q^2}$	$0.9928 \pm 0.0055$	$1.0 \pm 0.0055$	1
$R_{\text{tot}}$	$0.9693 \pm 0.0080$	$0.9764 \pm 0.0080$	1
$\sum f_i$	$2.80 \pm 0.22$ %	$2.78 \pm 0.15$ %	1

# Effect of the Proton Radius Puzzle

- **The puzzle:**
  - ep global analysis:  $r_p = 0.875 \pm 0.010$  fm
    - Zhan, et al., Phys. Lett. B **705**, 59 (2011)
  - $\mu$ p Lamb shift:  $r_p = 0.8409 \pm 0.0004$  fm
    - Antognini, et al., Science **339**, 417 (2013)
- **But as  $Q^2 \rightarrow 0$ ,  $G_E = Z\{1 - Q^2 \langle r^2 \rangle / 6 + \dots\}$** 
  - So  $G_E(ep) = 0.9178$ , and  $G_E(\mu p) = 0.9241$ 
    - So  $\Delta G_E = 0.7\%$
  - At our  $Q^2$ ,  $G_E$  contributes 26 ppb
    - So  $\Delta A \sim (0.7\%)(26 \text{ ppb}) \sim 0.2 \text{ ppb}$  out of 226 ppb msrd
    - $\rightarrow \Delta Qw(p) = \Delta A_{\text{had}}/A_0 = 0.00008$  ( $\sim 2\%$  of our error bar)

A tiny effect.

# Calculations of the $\square_{\gamma Z}^V @ E=1.16 \text{ GeV}$



$$Q_W^p = [\rho_{NC} + \Delta_e][1 - 4 \sin^2 \hat{\theta}_W(0) + \Delta'_e] + \square_{WW} + \square_{ZZ} + \square_{\gamma Z}$$

The  $\square_{\gamma Z}$  is the only E &  $Q^2$  dependent EW correction.

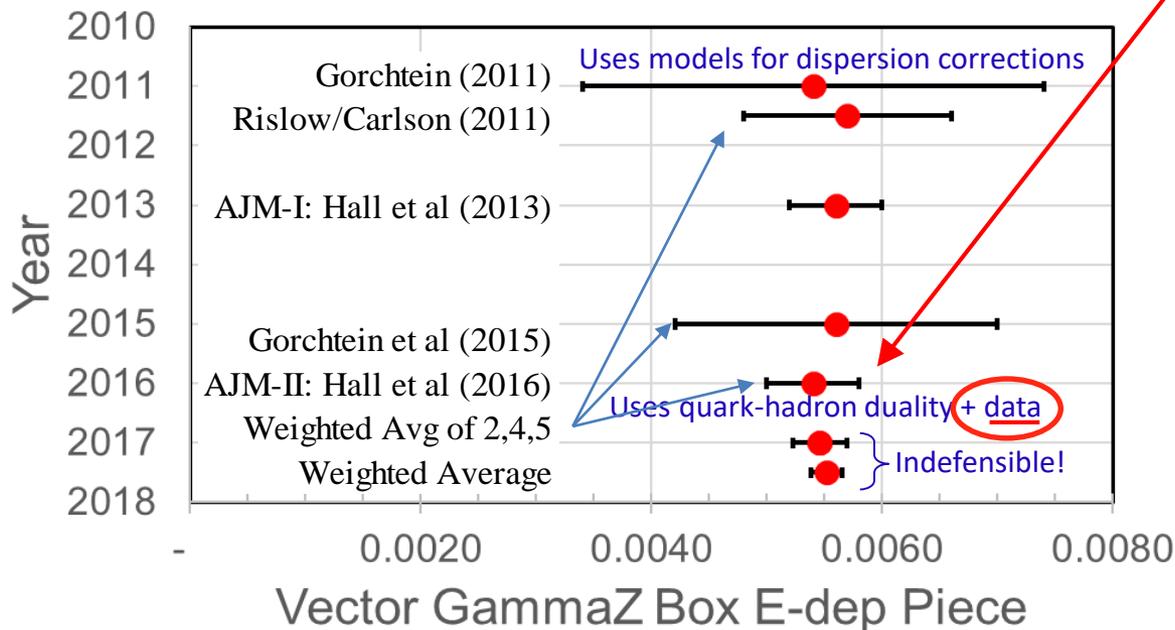
→ Correct the PVES data for this E &  $Q^2$  dependence.

- Early calculations primarily dispersion theory type
  - Data can firm up error estimates!
  - Qweak: inelastic asymmetry data taken at  $W \sim 2.3 \text{ GeV}$ ,  $Q^2 = 0.09 \text{ GeV}^2$
- Later calculations data-driven

## Gamma-Z Box Error:

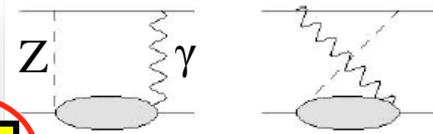
AJM-II: Hall et al. (2016)

	Value	Error
V	0.0054	0.0004
AV	-0.0007	0.0002
Q factor	0.978	0.012
(A+V)Q	0.00460	0.00044
Qw(p) SM	0.07080	0.00030



- Central values similar, but uncertainties vary.
- Theory community can't agree which result we should use.
- But we can see what the impact is on our global fit.

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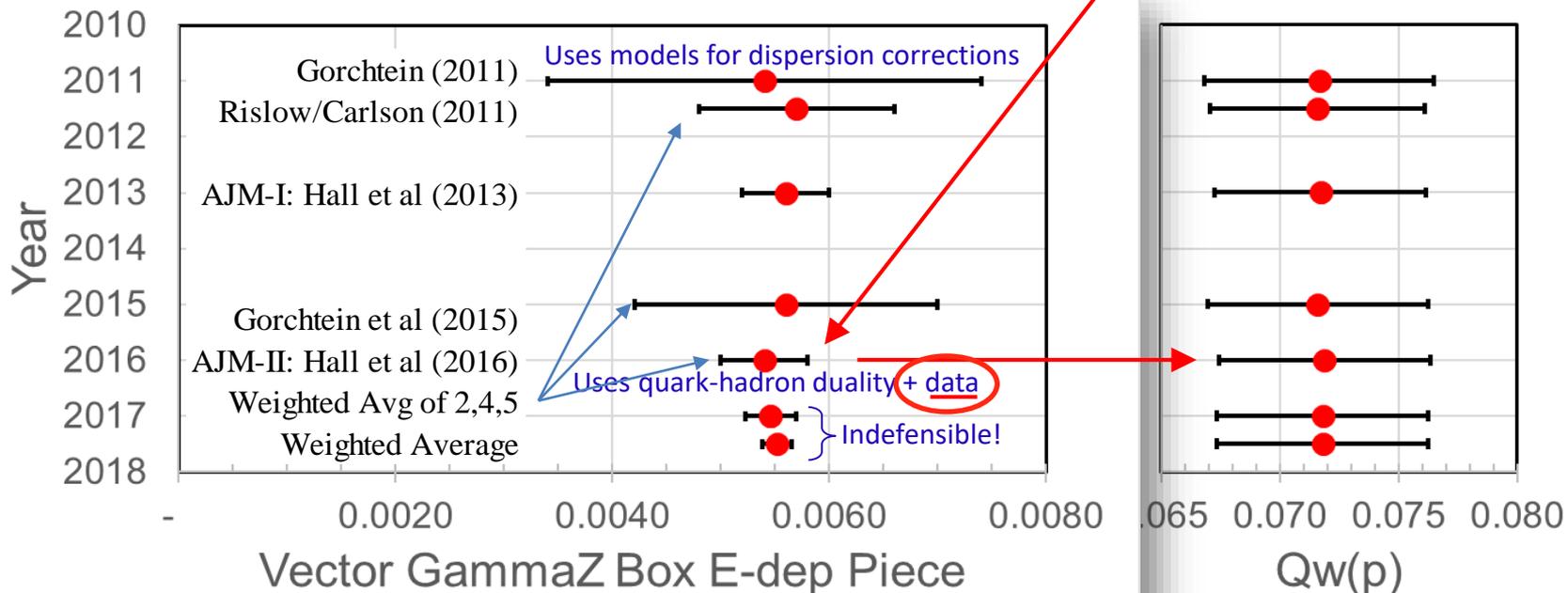
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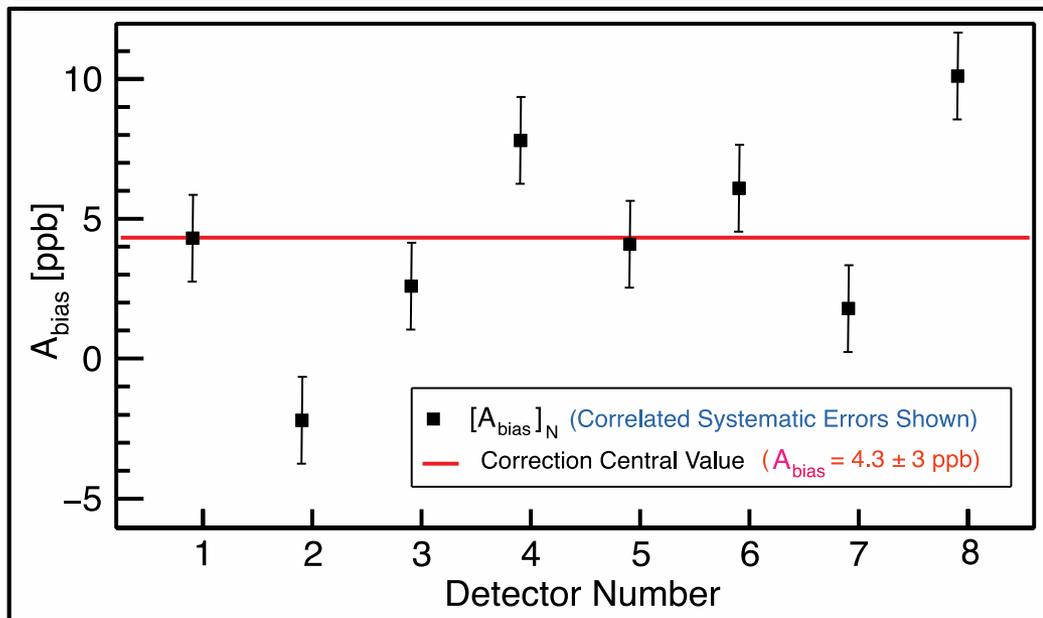
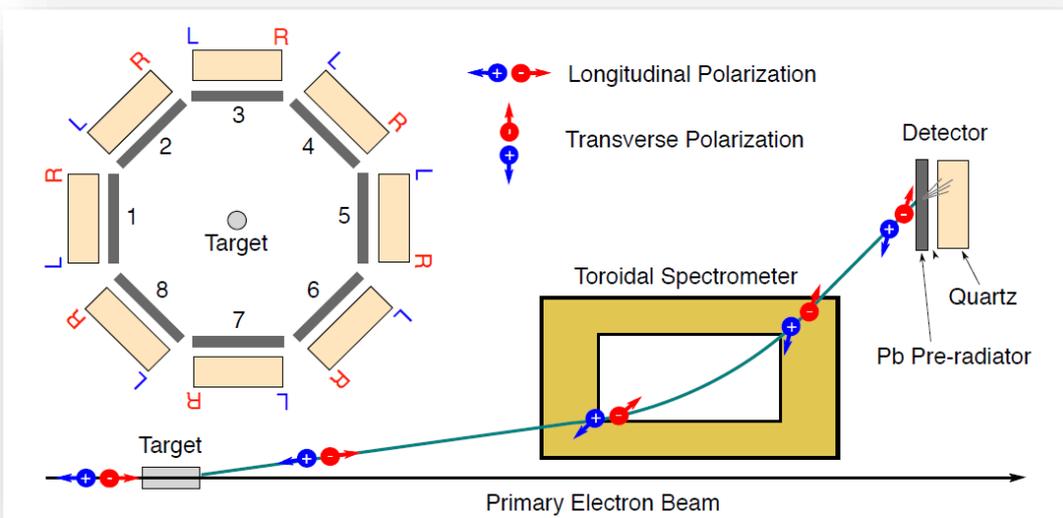
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# Detector Optical Imperfections: $A_{bias}$ Systematic



Saw a large, consistent asymmetry  
 $A_{diff} = (A_R - A_L) \sim 290$  ppb in the L & R  
 PMTs of each detector bar.

Qweak parity signal =  $(A_R + A_L)/2$ , so  
 R-L **effect cancels to first order**.

Effect: Transverse P picked up via g-2  
 precession thru magnet “analyzed” by  
 Pb pre-radiator just in front of bars →  
 L/R asymmetry across each bar.

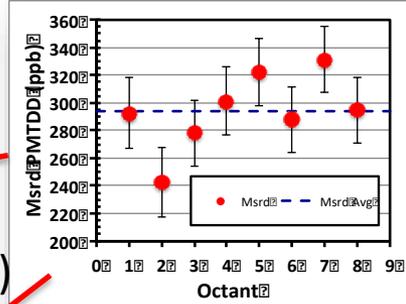
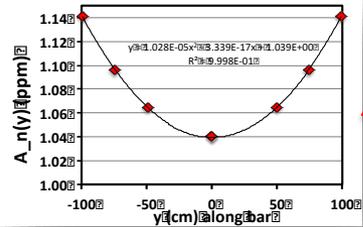
Minor broken symmetries of as-built  
 apparatus lead to a  $4 \pm 3$  ppb  
**rescattering bias correction  $A_{bias}$**

Two approaches taken to model this  
**agreed to within 1 ppb**:

1) Phenomenological method:  
 used msrd (or simulated) flux on  
 each bar, & light seen by each  
 PMT, scaled to msrd  $A_{diff}$ .

2) GEANT4: modeled Mott MS  
 through the Pb, the flux on &  
 optical properties of each bar.

# Macroscopic model



- $\delta y(y) = A_n(y) * \text{scale}$  ( $\delta y \sim 300 \text{ ppb} * 2\text{m} = 600 \text{ nm}$ )
  - adjust **scale** till  $\text{PMTDD}(\text{calc}) = \text{PMTDD}(\text{msrd}) = A(L) - A(R)$

$\sigma^\pm(L/R)$  from measured  $\text{PMT}^{L/R}(y)$  &  $\text{Flux}^\pm(y)$  in tracking runs

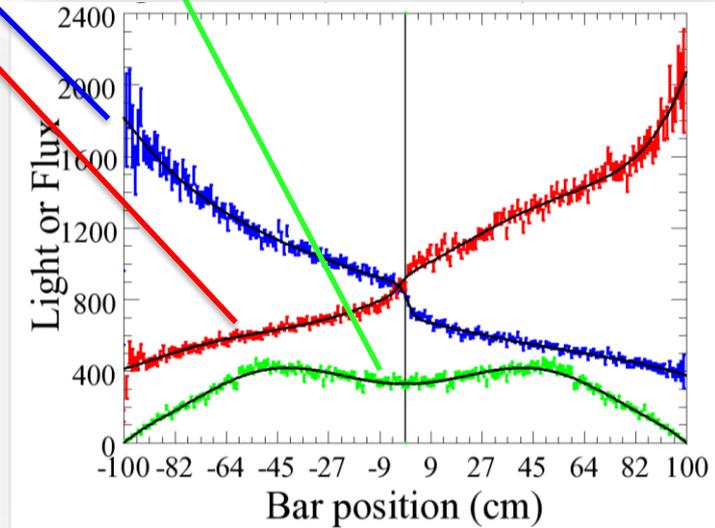
Form asymmetries at each end of the bars

Form the quantities of interest

- $\sigma^\pm(L) = \sum \text{PMT}^{\text{Left}}(y) \text{Flux}^\pm(y -/+ \delta y(y))$
- $\sigma^\pm(R) = \sum \text{PMT}^{\text{Right}}(y) \text{Flux}^\pm(y -/+ \delta y(y))$
- $A(L) = (\sigma^+(L) - \sigma^-(L)) / (\sigma^+(L) + \sigma^-(L))$
- $A(R) = (\sigma^+(R) - \sigma^-(R)) / (\sigma^+(R) + \sigma^-(R))$
- $\text{PMTDD} = A(L) - A(R)$
- $A_{\text{bias}} = (A(L) + A(R)) / 2$

- this is what hides in our  $A_{\text{ep}}$

The Macroscopic model uses measured input for the light, the flux, & the PMTDD.  $A_n(y)$  comes from PMTDD model, or from wags, but is scaled by the msrd PMTDD.



# Summary of Results Determined from $Q_{\text{weak}} A_{\text{ep}}$



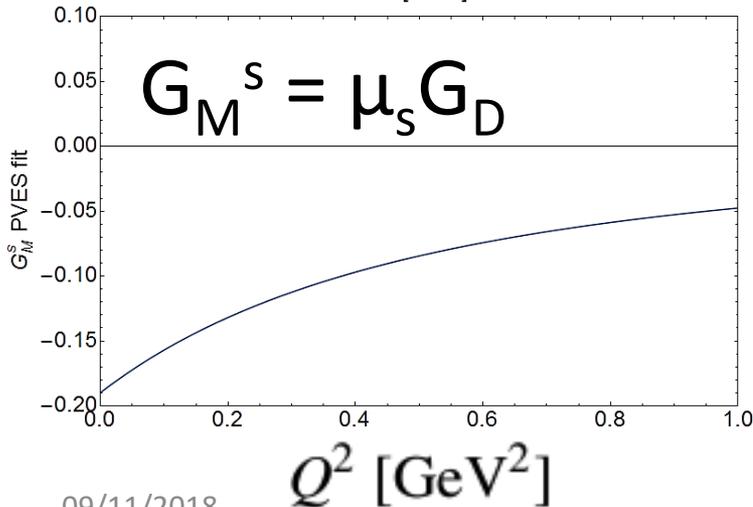
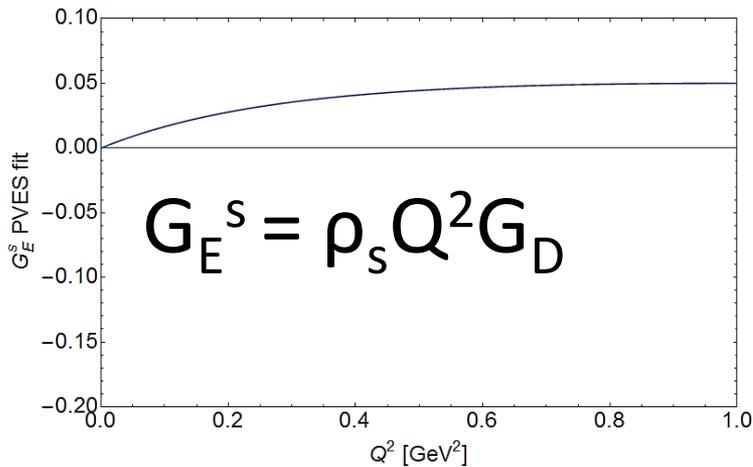
	Quantity	Value	Error	Method
<b>Precision of <math>A_{\text{ep}}</math> dominates determination of <math>Q_W^p</math></b>	$Q_W^p$	<b>0.0719</b>	<b>0.0045</b>	$\left\{ \begin{array}{c} Q_{\text{weak}} A_{\text{ep}} \\ + \\ \text{PVES data base} \end{array} \right\}$
	$\sin^2\theta_W(Q=0.025)$	<b>0.2382</b>	<b>0.0011</b>	
	$\rho_s$	0.20	0.11	
	$\mu_s$	-0.19	0.14	
	$G_A^{Z(T=1)}$	-0.64	0.30	
<b>Including <math>^{133}\text{Cs}</math> APV improves <math>C_{1u}</math>, <math>C_{1d}</math>, &amp; <math>Q_W(n)</math> extraction</b>	$Q_W^p$	<b>0.0718</b>	<b>0.0044</b>	$\left\{ \begin{array}{c} Q_{\text{weak}} A_{\text{ep}} \\ + \\ \text{PVES data base} \\ + \\ \text{APV } ^{133}\text{Cs} \end{array} \right\}$
	$C_{1u}$	-0.1874	0.0022	
	$C_{1d}$	0.3389	0.0025	
	$Q_W^n$	<b>-0.9808</b>	<b>0.0063</b>	
	$C_1$ correlation = -0.9318			
<b>LQCD constraint on <math>G_E^s</math> &amp; <math>G_M^s</math> improves <math>Q_W^p</math> &amp; <math>\sin^2\theta_W</math> precision</b>	$Q_W^p$	<b>0.0685</b>	<b>0.0038</b>	$\left\{ \begin{array}{c} Q_{\text{weak}} A_{\text{ep}} \\ + \\ \text{PVES data base} \\ + \\ \text{LQCD (strange)} \end{array} \right\}$
	$\sin^2\theta_W(Q=0.025)$	<b>0.2392</b>	<b>0.0009</b>	
<b>does NOT depend on other PV measurements</b>	$Q_W^p$	<b>0.0706</b>	<b>0.0047</b>	$\left\{ \begin{array}{c} Q_{\text{weak}} A_{\text{ep}} \\ + \\ \text{EMFF's \& theory axial FF} \\ + \\ \text{LQCD (strange)} \end{array} \right\}$

EMFFs: Arrington & Sick, PRC **76**, 035201 (2007)  
 Axial FF: Liu McKeown & Ramsey-Musolf, PRC **76**, 025202 (2007)

# Comparing $G_{E,M}^S$ with PVES fit & LQCD

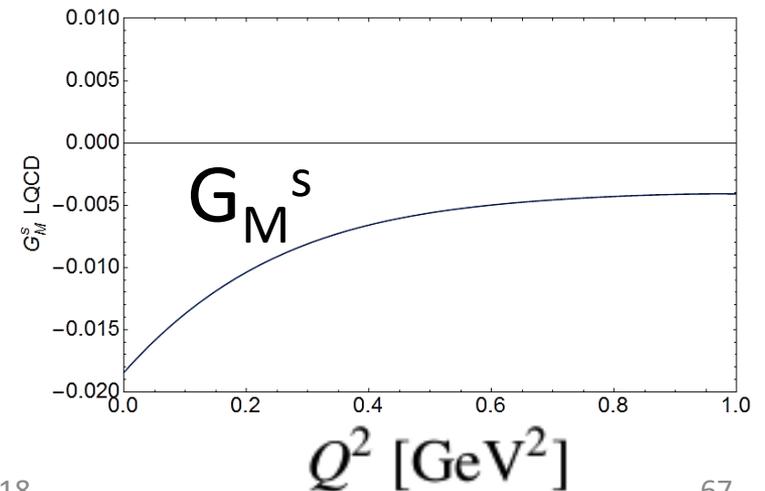
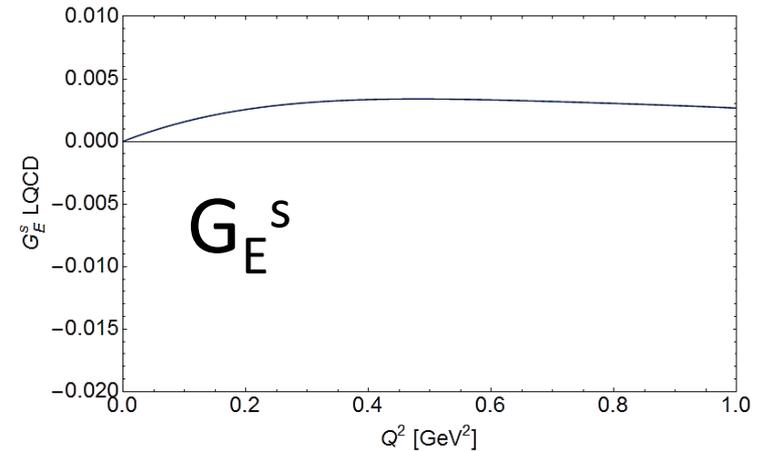
PVES fit has  $\sim$  same shape, but different magnitude (x10)

Global PVES Fit

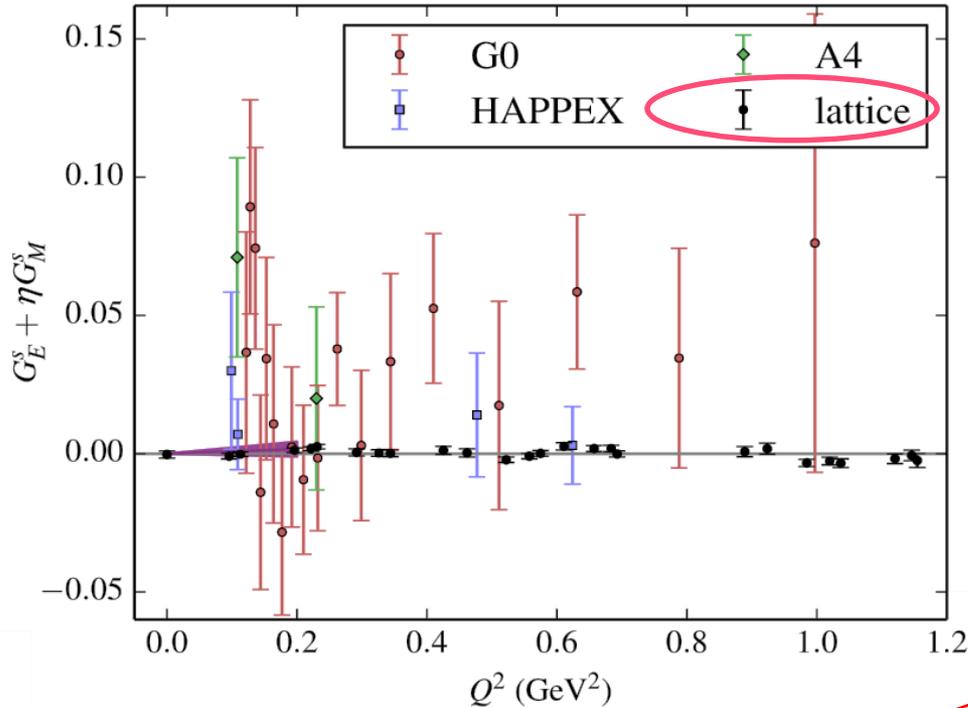


Lattice Results

Green et al., PRD92, 031501 (2015)



# Tension between PVES data & LQCD



PHYSICAL REVIEW D 92, 031501(R) (2015)

**High-precision calculation of the strange nucleon electromagnetic form factors**

Jeremy Green,<sup>1,\*</sup> Stefan Meinel,<sup>2,3,†</sup> Michael Engelhardt,<sup>4</sup> Stefan Krieg,<sup>5,6</sup> Jesse Laeuchli,<sup>7</sup> John Negele,<sup>8</sup> Kostas Orginos,<sup>9,10</sup> Andrew Pochinsky,<sup>8</sup> and Sergey Syritsyn<sup>3</sup>



$G_{E,M}^s$

- Important to investigate impact of LQCD on our result
  - LQCD results continue to improve: Green et al. (used here) reached a pion mass of 317 MeV. Since then, the KY group reached the physical pion mass for the 1<sup>st</sup> time!

KY Grp: Sufian, et al., PRL118, 042001 (2017)

# Our Result(s)

Method	Quantity	Value	Error
PVES fit	$Q_W^p$	<b>0.0719</b>	<b>0.0045</b>
	$\rho_s$	0.20	0.11
	$\mu_s$	-0.19	0.14
	$G_A^{Z(T=1)}$	-0.64	0.30
PVES fit + APV	$Q_W^p$	<b>0.0718</b>	<b>0.0044</b>
	$Q_W^n$	-0.9808	0.0063
	$C_{1u}$	-0.1874	0.0022
	$C_{1d}$	0.3389	0.0025
	$C_1$	-0.9318	
	correlation		
PVES fit + LQCD	$Q_W^p$	<b>0.0685</b>	<b>0.0038</b>
$Q_{\text{weak}}$ datum only	$Q_W^p$	<b>0.0706</b>	<b>0.0047</b>
SM	$Q_W^p$	<b>0.0708</b>	<b>0.0003</b>

Shift of 0.0034, or

0.0034

$$\frac{0.0034}{\sqrt{0.0045^2 + 0.0038^2}}$$

= 0.58  $\sigma$

(uncorrelated)

or

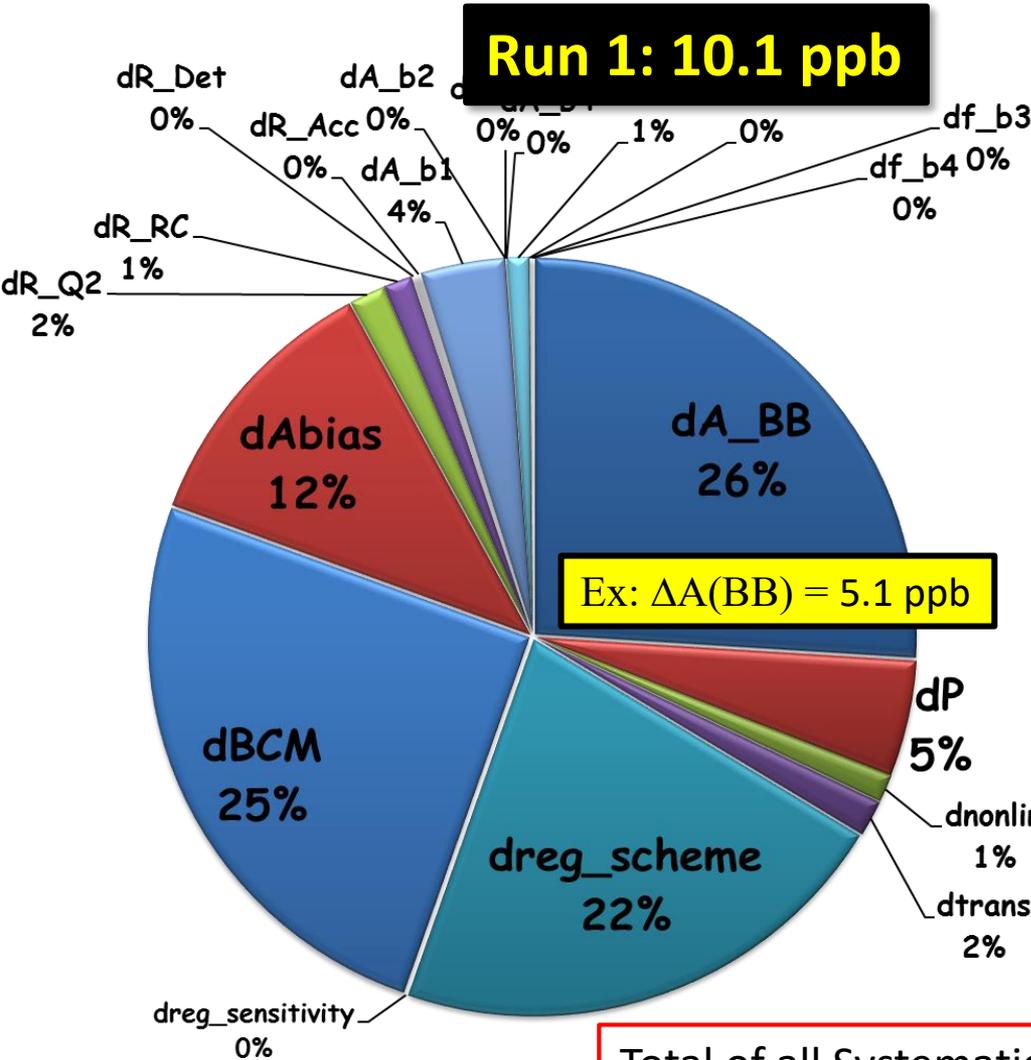
$$0.0034/0.0045 = 0.76 \sigma$$

(correlated)

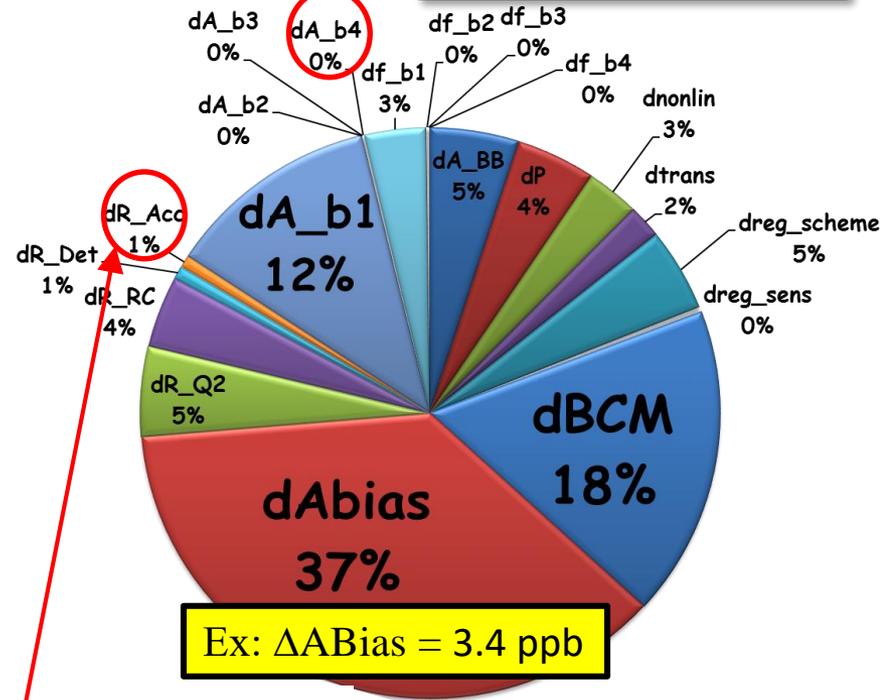
# Run 1&2 Systematic Uncertainties

Pies show  $\Delta A_i^2$ , so total systematic uncertainty is  $\sqrt{\sum(\text{slices})}$

Total of all Systematic Errors forecast for the P2 Expt: 0.25 ppb



**Run 2: 5.6 ppb**



Total of all Systematic Errors forecast for the Moller Expt: 0.7 ppb

# What is Atomic Parity Violation (APV)?

- Wood, et al., Science 275, 1759 (1997)
  - $Q_W(133\text{Cs}) = -72.62 \pm 0.43$  (SM:  $-73.25 \pm 0.02$ )
- PNC in Cesium is another way to msr electron-quark electroweak coupling constants
  - Parity-forbidden electronic transitions can occur due to (parity-violating) weak neutral currents
  - Expt. relies on creating an interference between a PNC 6S-7S transition amplitude  $A_{\text{PNC}}$  and a Stark-induced electric dipole 6S-7S E1 transition  $A_E$
  - Input required for SM APV prediction:
    - Electronic structure of the atom, & Z boson mass (the neutral EW force carrier)
  - Cesium electronic structure is the most precisely known (~1%) of atoms used for PNC msrmnts
    - Alkali metal: one valence electron outside a tightly bound core
    - Other atoms used to msr APV: Fr, Tl, Bi, & Pb

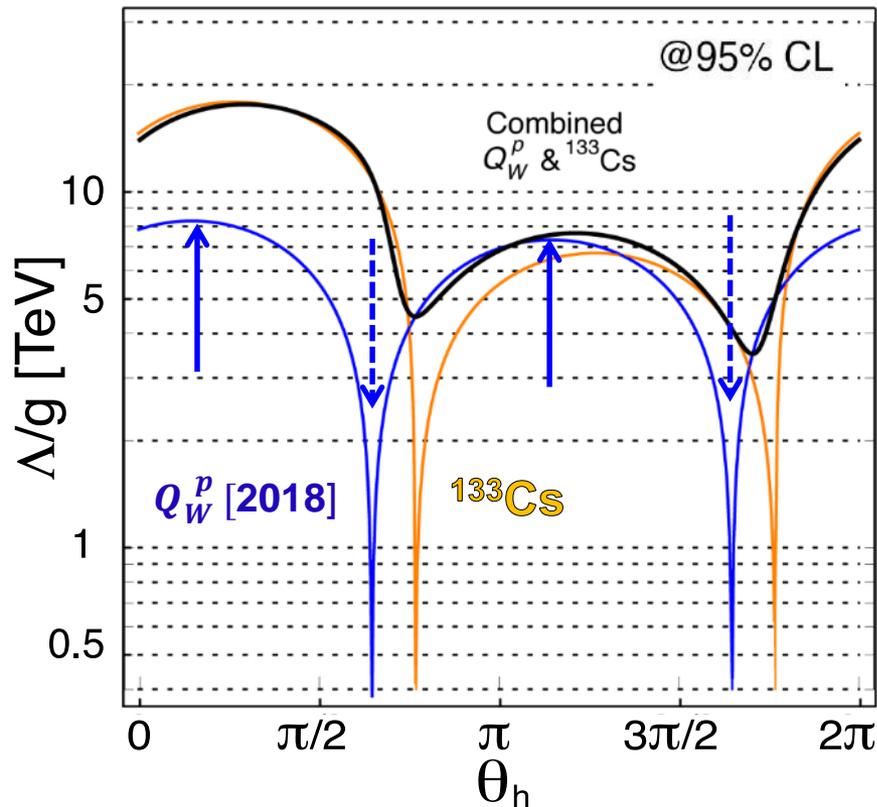
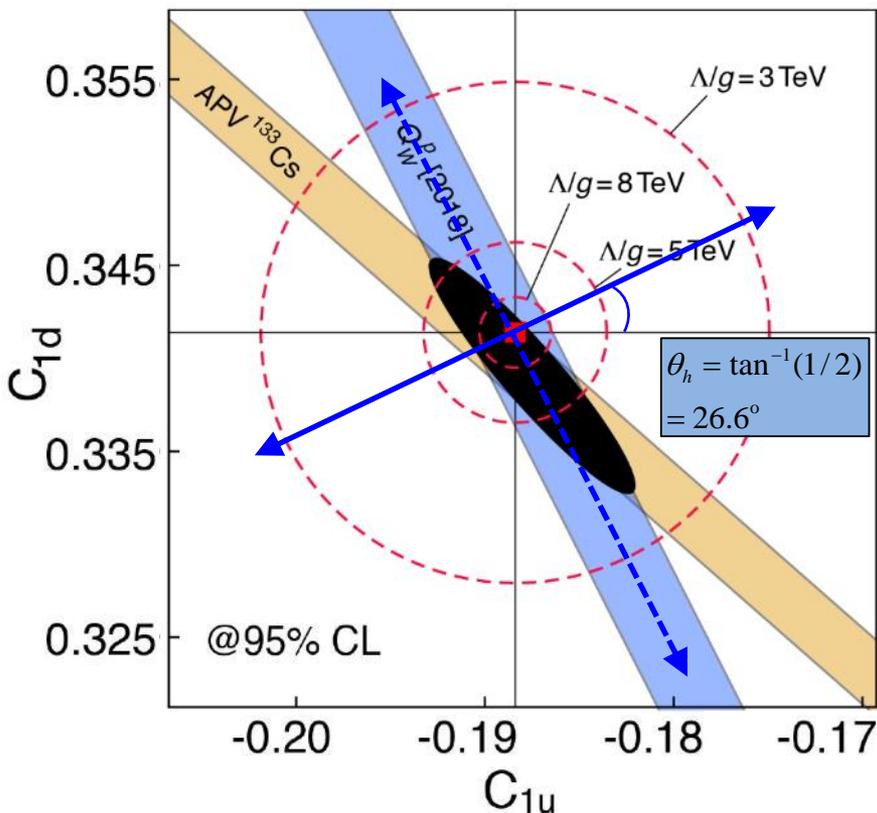
# Limits on Semi-Leptonic PV Physics Beyond SM

$$Q_W^p = -2(2C_{1u} + C_{1d})$$

$$\mathcal{L}_{\text{NP}}^{\text{PV}} = -\frac{g^2}{\Lambda^2} \bar{e} \gamma_\mu \gamma_5 e \sum_q h_V^q \bar{q} \gamma^\mu q$$

$$h_V^u = \cos \theta_h \quad h_V^d = \sin \theta_h$$

**New Physics Ruled Out  
@95% CL Below Mass Scale of  $\Lambda/g$**



**SM is red square.** Dashed contours indicate value of  $\Lambda/g = 3, 5, \text{ and } 8 \text{ TeV}$ .

( $^{133}\text{Cs}$  APV from PDG2016 – Wood, Flambaum)

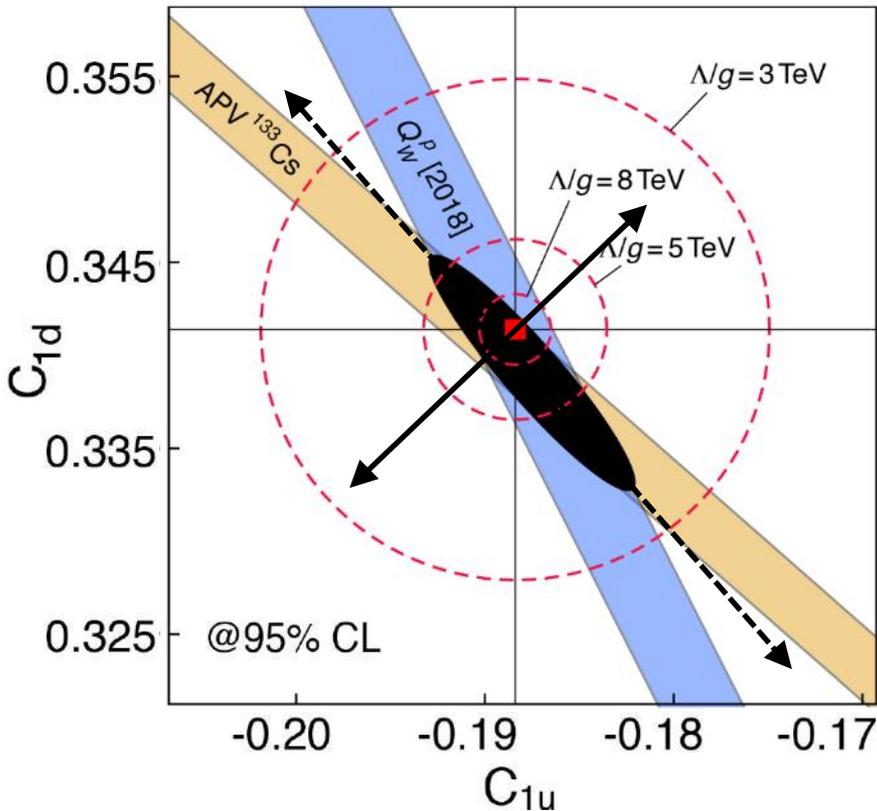
$\theta_h$  is “flavor mixing angle” in Lagrangian for new physics at value  $\Lambda/g$  mapped around boundary of experimental limits.

$\mathcal{L}_{\text{NP}}^{\text{PV}}$

# Limits on Semi-Leptonic PV Physics Beyond SM

$$Q_W^p = -2(2C_{1u} + C_{1d})$$

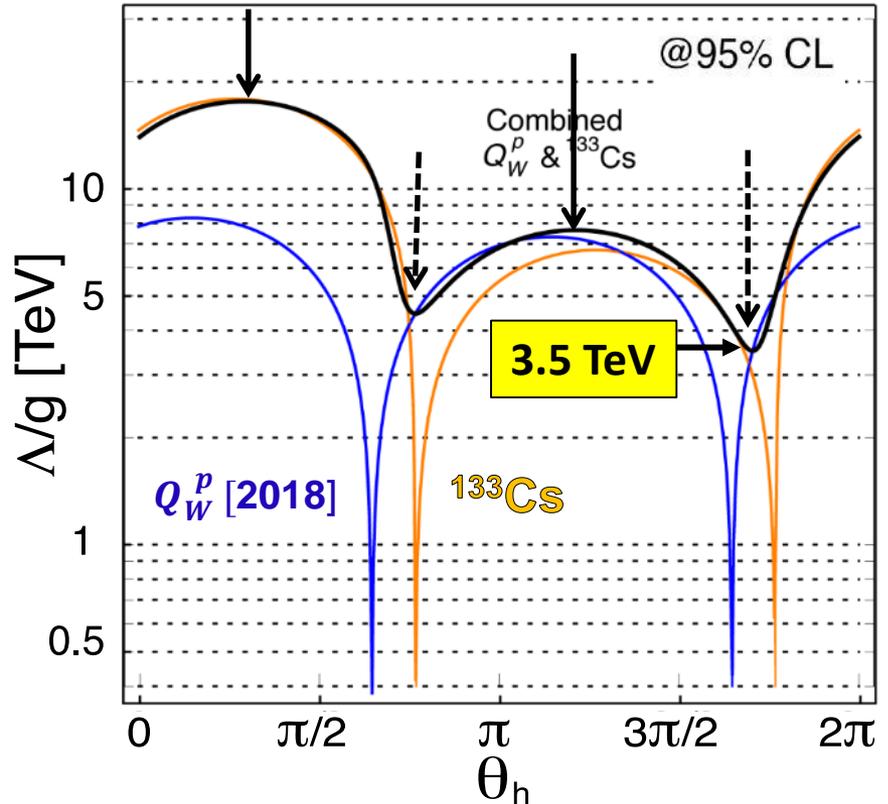
**New Physics Ruled Out  
@95% CL Below Mass Scale of  $\Lambda/g$**



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( $^{133}\text{Cs}$  APV from PDG2016 – Wood, Flambaum)  
09/11/2018 Greg Smith - SPIN2018

$$\mathcal{L}_{\text{NP}}^{\text{PV}} = -\frac{g^2}{\Lambda^2} \bar{e} \gamma_\mu \gamma_5 e \sum_q h_V^q \bar{q} \gamma^\mu q$$

$$h_V^u = \cos \theta_h \quad h_V^d = \sin \theta_h$$



$\theta_h$  is “flavor mixing angle” in Lagrangian  $\mathcal{L}_{\text{NP}}^{\text{PV}}$  for new physics at value  $\Lambda/g$  mapped around boundary of experimental limits. 73

# Isvector Axial Form-Factor

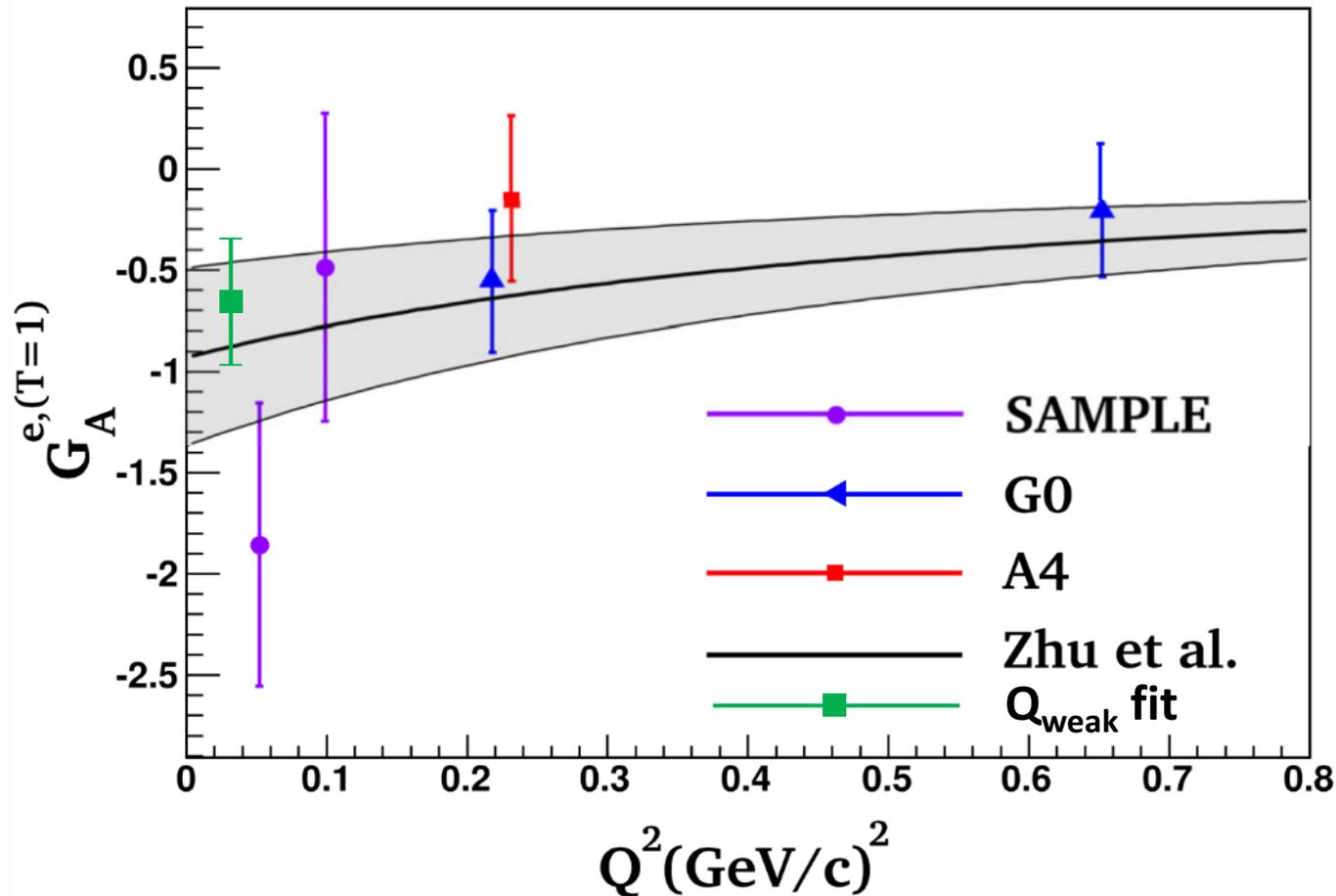


Figure adapted from D. Balaguer Rios *et al.* (PVA4)

Global fit including  $Q_{\text{weak}}$  is in good agreement with theory

[ S.L. Zhu, S.J. Puglia, B.R. Holstein, M.J. Ramsey-Musolf, Phys. Rev. D **62**, 033008 (2000) ]

$$\square_{\gamma Z} = \square^A_{\gamma Z} + \square^V_{\gamma Z}$$

$\square^A_{\gamma Z}$  :

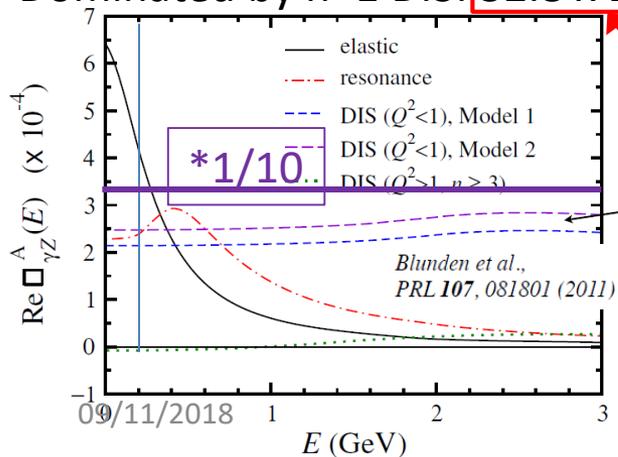
- $V(e) \times AV(h)$
- Finite at  $E=0$
- E-dependence is small
- @ $E=0 \rightarrow 0.0044(2)$
- @ $E=1.165 \text{ GeV} \rightarrow 0.0037(2)$
- Shift:  $-0.0007$

$\square^V_{\gamma Z}$  :

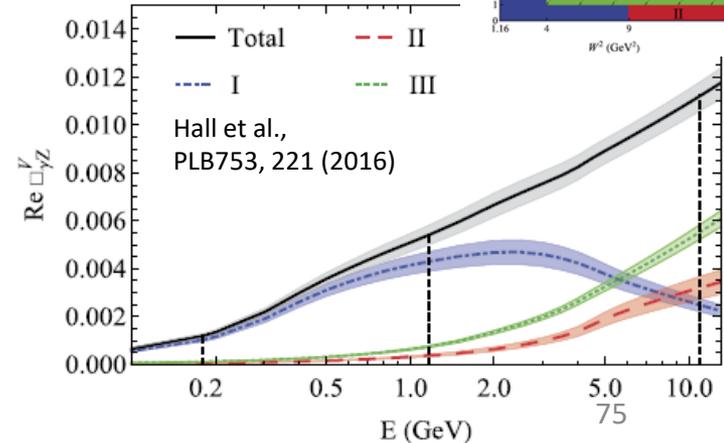
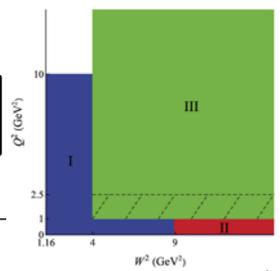
- $AV(e) \times V(h)$
- Zero at  $E=0$
- E-dependence is large
- @ $E=0 \rightarrow 0$
- @ $E=1.165 \text{ GeV} \rightarrow 0.0054(4)$
- Shift:  $+0.0054$

Total shift =  $0.0054(4) - 0.0007(2) = 0.0047$  at Qweak kinematics

Dominated by  $n=1$  DIS:  $32.8 \times 10^{-4}$



Off the top of the slide at this scale!

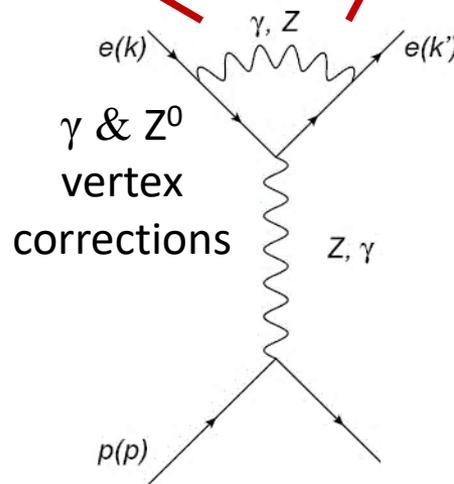
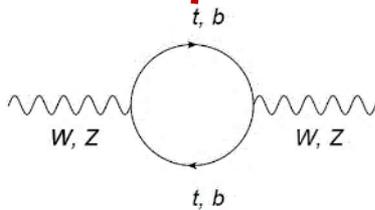


# Electroweak Radiative Corrections

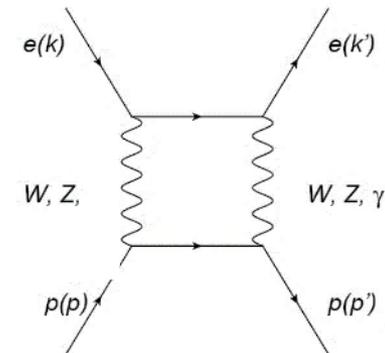
In the Standard Model, the weak charge is *defined* at  $Q^2 = 0, E = 0$ .

$$Q_W^p = [\rho_{NC} + \Delta_e][1 - 4 \sin^2 \hat{\theta}_W(0) + \Delta'_e] + \square_{WW} + \square_{ZZ} + \square_{\gamma Z}$$

$Z^0/W^\pm$   
interaction  
strength  
renormalization



Box  
diagrams



Full expression for  $Q_W^p$  has energy dependent corrections – need precise calculations

The  $\square_{WW}$  and  $\square_{ZZ}$  are well determined from pQCD ( $\propto \frac{1}{q^2 - M_{W(Z)}^2 + i\epsilon}$ )

The  $\square_{\gamma Z}$  isn't pQCD friendly due to the photon leg ( $\propto \frac{1}{q^2 + i\epsilon}$ )

# Input to $\sin^2\theta_W$ Determination

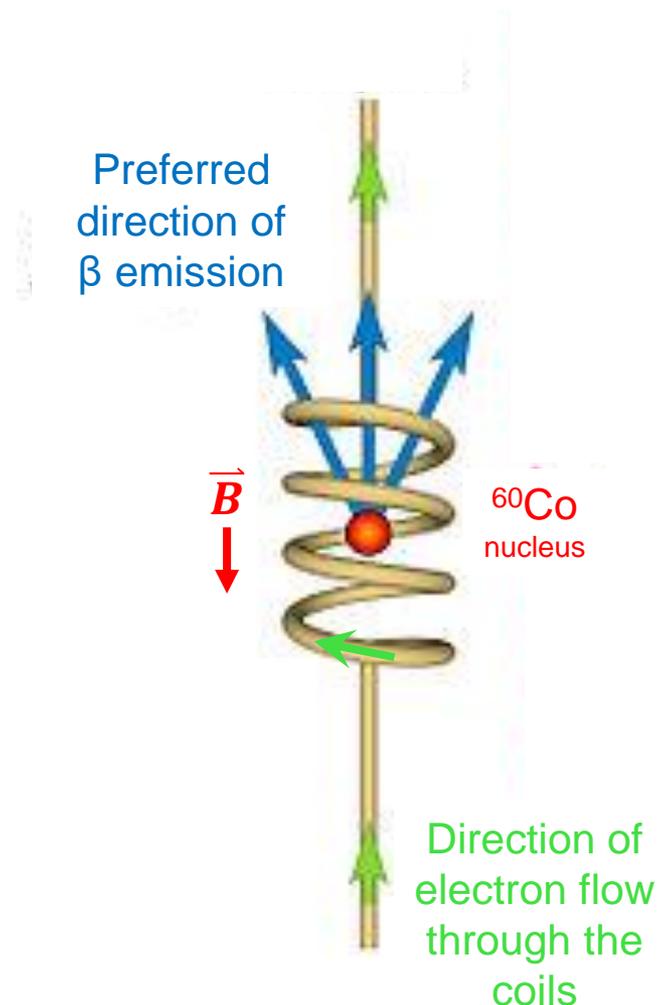
Term	Expression	Value	Reference
$\rho_{NC}$	$1 + \Delta_\rho$	1.00066	1, 2
$\Delta_e$	$-\alpha/2\pi$	-0.001161	1, 2
$\Delta'_e$	$-\frac{\alpha}{3\pi}(1 - 4\hat{s}^2) \left[ \ln \left( \frac{M_Z^2}{m_e^2} \right) + \frac{1}{6} \right]$	-0.001411	1, 2
$\hat{\alpha}$	$\equiv \alpha(M_Z)$	1/127.95	1, 2
$\hat{s}^2$	$= 1 - \hat{c}^2 \equiv \sin^2 \theta_W(M_Z)$	0.23129	1, 2
$\alpha_s(M_W^2)$	-	0.12072	67
$\square_{WW}$	$\frac{\hat{\alpha}}{4\pi\hat{s}^2} \left[ 2 + 5 \left( 1 - \frac{\alpha_s(M_W^2)}{\pi} \right) \right]$	0.01831	1, 2
$\square_{ZZ}$	$\frac{\hat{\alpha}}{4\pi\hat{s}^2\hat{c}^2} [9/4 - 5\hat{s}^2] (1 - 4\hat{s}^2 + 8\hat{s}^2) \left( 1 - \frac{\alpha_s(M_Z^2)}{\pi} \right)$	0.00185	1, 2
$\square_{\gamma Z}$	axial-vector hadron piece of $\square_{\gamma Z}$ : $\Re \square_{\gamma Z}^A$	0.0044	11

# The 1957 Wu Experiment

- $^{60}\text{Co}$   $\beta$  decay

(weak interaction)

- $^{60}\text{Co} \rightarrow ^{60}\text{Ni}^* + e^- + \bar{\nu}_e$
- The  $^{60}\text{Co}$  nucleus was polarized in opposite directions by reversing the magnetic field in a solenoid at  $\sim 3$  mK.



# The 1957 Wu Experiment

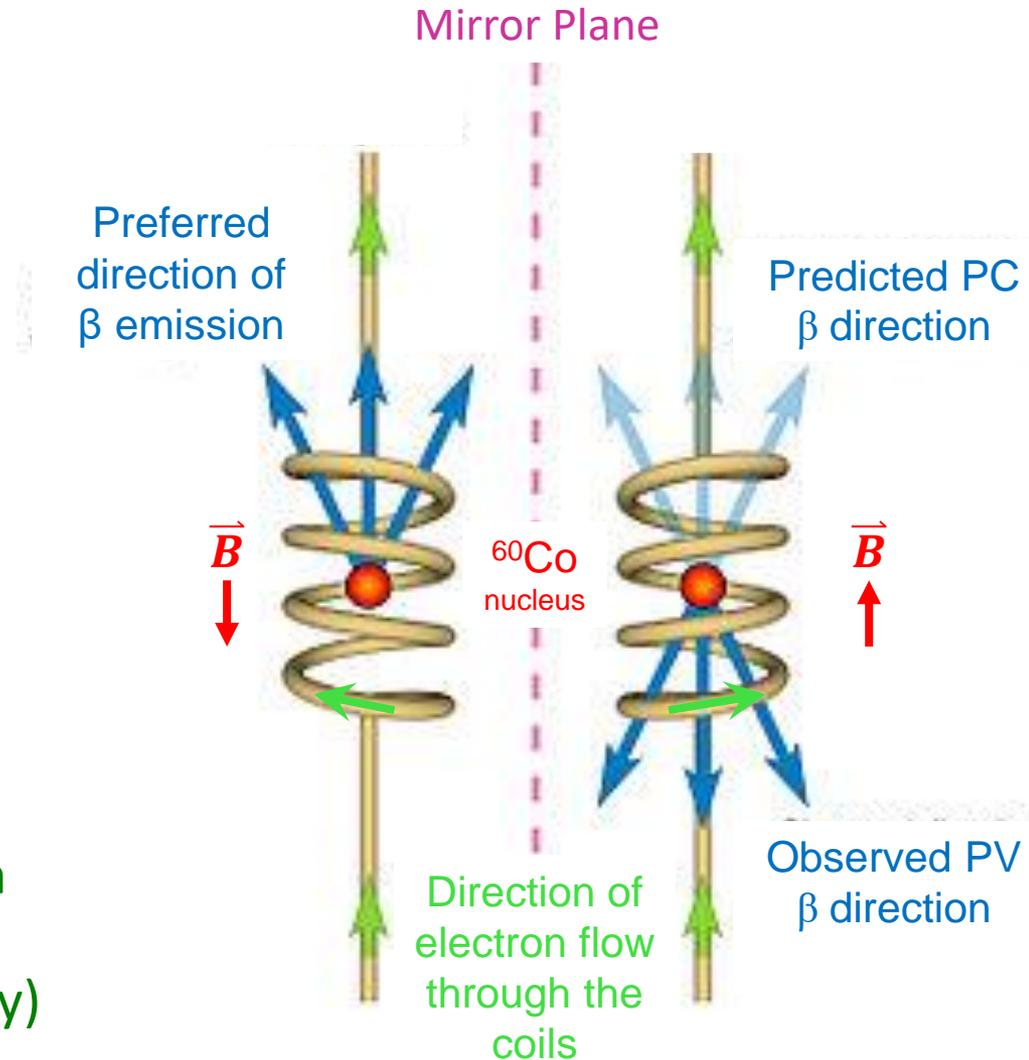
- $^{60}\text{Co}$   $\beta$  decay

(weak interaction)



- The  $^{60}\text{Co}$  nucleus was polarized in opposite directions by reversing the magnetic field in a solenoid at  $\sim 3$  mK.

- The  $e^-$  were always emitted in the direction opposite to the nuclear spin, even when the spin was flipped (the weak interaction violates parity)



# Stand-alone result:

$$A_{PV}^p = -\frac{G_F Q^2}{4\sqrt{2}\pi\alpha} \frac{1}{[\epsilon(G_E^p)^2 + \tau(G_M^p)^2]}$$

Q<sub>w</sub>(p) Term  $\longrightarrow$   $\times \{(\epsilon(G_E^p)^2 + \tau(G_M^p)^2)(1 - 4\sin^2\theta_W)(1 + R_V^p)\}$

EM Term  $\longrightarrow$   $-(\epsilon G_E^p G_E^n + \tau G_M^p G_M^n)(1 + R_V^n)$

Strange Term  $\longrightarrow$   $-(\epsilon G_E^p G_E^s + \tau G_M^p G_M^s)(1 + R_V^{(0)})$

Axial Term  $\longrightarrow$   $-\epsilon'(1 - 4\sin^2\theta_W)G_M^p G_A^e\}$ , (2)

$$\text{ie: } A_{PV}^p(Q^2)/A_0 = Q_W(p) - A_{EM}(Q^2) - A_{\text{strange}}(Q^2) - A_{\text{axial}}(Q^2)$$

measure

extract

From A&S  
EM FFs

From LQCD  
(or Ross fit)

Use Liu, McKeown & Musolf,  
PRC76, 025202 (2007)

Calculate

$$Q_W^p = A_{ep}(Q^2)/A_0(Q^2) - Q^2 B(Q^2, \theta)$$

# Stand-alone Result: LQCD vs PVES fit

LQCD Strange		Value (ppb)	Error (ppb)	Err/Val (%)	Val/Tot (%)
[1]	AE	-26.20	3.63	14%	12%
	AM	79.88	1.36	2%	-35%
[2]	AEs (LQCD)	-1.11	0.33	29%	0%
	AMs (LQCD)	0.77	0.24	30%	0%
[3]	Aaxial	5.60	2.36	42%	-2%
	<b>Total</b>	<b>58.95</b>	<b>4.55</b>	<b>8%</b>	<b>-26%</b>

PVES Fit Strange		Value (ppb)	Error (ppb)	Err/Val (%)	Val/Tot (%)
	AE	-26.20	3.63	14%	12%
	AM	79.88	1.36	2%	-35%
	AEs (PVES fit)	-10.69	5.88	55%	5%
	AMs (PVES fit)	8.18	6.02	74%	-4%
	Aaxial	5.60	2.36	42%	-2%
	<b>Total</b>	<b>56.77</b>	<b>9.56</b>	<b>17%</b>	<b>-25%</b>

	AEM	53.68	3.872	7%	-24%
	As (LQCD)	-0.34	0.40	119%	0%
	Aaxial	5.60	2.36	42%	-2%
	<b>Total</b>	<b>58.95</b>	<b>4.55</b>	<b>8%</b>	<b>-26%</b>

	AEM	53.68	3.872	7%	-24%
	As (PVES fit)	-2.51	8.42	335%	1%
	Aaxial	5.60	2.36	42%	-2%
	<b>Total</b>	<b>56.77</b>	<b>9.56</b>	<b>17%</b>	<b>-25%</b>

[Qweak]	Amsrd	-226.50	9.30	4%	100%
	Amsrd+AEM,s,ax	-167.55	10.35	6%	74%
	A0 (ppm)	-2.229			
	Qw(p)	0.0752	-0.0046	6%	107%
	gZ	0.0046	0.0005	11%	7%
	Qw(p)-gZ	<b>0.0706</b>	<b>0.0047</b>	7%	100%

	Amsrd	-226.50	9.30	4%	100%
	Amsrd+AEM,s,ax	-169.73	13.34	8%	75%
	A0 (ppm)	-2.229			
	Qw(p)	0.0761	-0.0060	8%	106%
	gZ	0.0046	0.0005	11%	6%
	Qw(p)-gZ	<b>0.0715</b>	<b>0.0060</b>	8%	100%

[1] AE & AM: Arrington & Sick, PRC76 035201 (2007)

[2] AEs & AMs: Green, et al., PRD92, 031501 (2015)

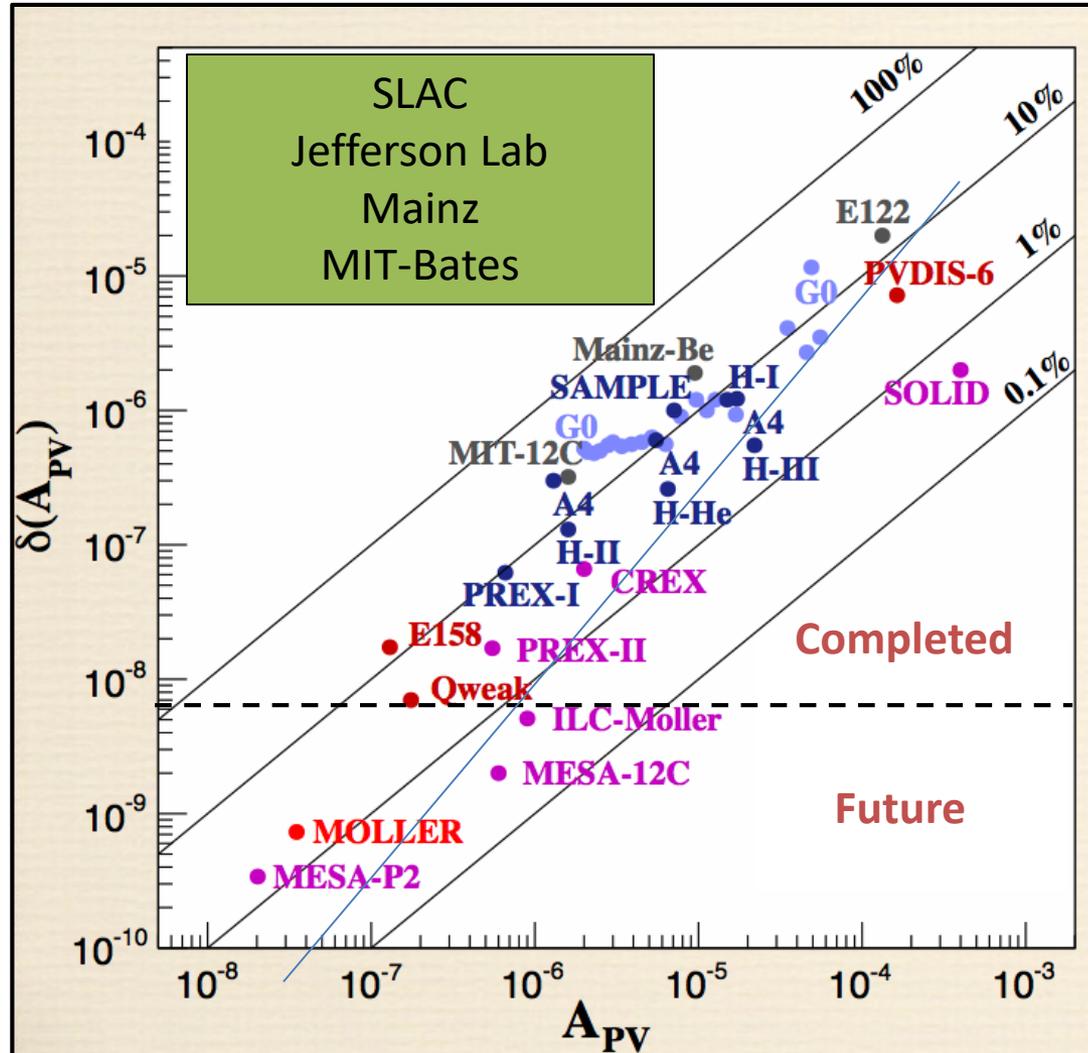
[3] Aaxial & RCs: Liu, McKeown & Ramsey-Musolf, PRC76, 025202 (2007)

# PVES Database

Tgt	# pts
p	28
d	5
<sup>4</sup> He	2
$\chi^2/\nu$	1.2

Target	Q <sup>2</sup>	\theta	A_{LR}	\d_stat	\d_syst	\d_cor	Exp	Label	E_est	error(tot)	rel error	A0
Proton	0.1	144	-5.61	0.67	0.88	0	SAMPLE	1	0.195	1.1060	-19.7%	-8.99E-06
Deuteron	0.091	144	-7.77	0.73	0.72	0	SAMPLE	2	0.185	1.0253	-13.2%	-8.18E-06
Deuteron	0.038	144	-3.51	0.57	0.58	0	SAMPLE	3	0.113	0.8132	-23.2%	-3.42E-06
Proton	0.23	35.3	-5.44	0.54	0.26	0	PVA4	4	0.854	0.5993	-11.0%	-2.07E-05
Proton	0.108	35.4	-1.36	0.29	0.13	0	PVA4	5	0.570	0.3178	-23.4%	-9.71E-06
Proton	0.477	12.3	-15.05	0.98	0.56	0	HAPPEX	6	3.353	1.1287	-7.5%	-4.29E-05
Helium4	0.091	5.7	-6.72	0.84	0.21	0	HAPPEX	7	3.058	0.8659	-12.9%	-8.18E-06
Proton	0.099	6.0	-1.14	0.24	0.06	0	HAPPEX	8	3.032	0.2474	-21.7%	-8.90E-06
Proton	0.122	6.7	-1.51	0.44	0.22	0.18	G0	9	3.031	0.5238	-34.7%	-1.10E-05
Proton	0.128	6.8	-0.97	0.41	0.2	0.17	G0	10	3.031	0.4868	-50.2%	-1.15E-05
Proton	0.136	7.1	-1.3	0.42	0.17	0.17	G0	11	3.031	0.4839	-37.2%	-1.22E-05
Proton	0.144	7.3	-2.71	0.43	0.18	0.18	G0	12	3.031	0.4997	-18.4%	-1.30E-05
Proton	0.153	7.5	-2.22	0.43	0.28	0.21	G0	13	3.031	0.5544	-25.0%	-1.38E-05
Proton	0.164	7.8	-2.88	0.43	0.32	0.23	G0	14	3.031	0.5833	-20.3%	-1.47E-05
Proton	0.177	8.1	-3.95	0.43	0.25	0.2	G0	15	3.031	0.5361	-13.6%	-1.59E-05
Proton	0.192	8.4	-3.85	0.48	0.22	0.19	G0	16	3.031	0.5612	-14.6%	-1.73E-05
Proton	0.21	8.8	-4.68	0.47	0.26	0.21	G0	17	3.031	0.5767	-12.3%	-1.89E-05
Proton	0.232	9.3	-5.27	0.51	0.3	0.23	G0	18	3.031	0.6348	-12.0%	-2.09E-05
Proton	0.262	9.9	-5.26	0.52	0.11	0.17	G0	19	3.031	0.5580	-10.6%	-2.36E-05
Proton	0.299	10.6	-7.72	0.6	0.53	0.35	G0	20	3.031	0.8737	-11.3%	-2.69E-05
Proton	0.344	11.5	-8.4	0.68	0.85	0.52	G0	21	3.031	1.2064	-14.4%	-3.09E-05
Proton	0.41	12.6	-10.25	0.67	0.89	0.55	G0	22	3.031	1.2424	-12.1%	-3.69E-05
Proton	0.511	14.2	-16.81	0.89	1.48	1.5	G0	23	3.031	2.2875	-13.6%	-4.60E-05
Proton	0.631	16.0	-19.96	1.11	1.28	1.31	G0	24	3.031	2.1416	-10.7%	-5.68E-05
Proton	0.788	18.2	-30.83	1.86	2.56	2.59	G0	25	3.031	4.0892	-13.3%	-7.09E-05
Proton	0.997	20.9	-37.93	7.24	9	0.52	G0	26	3.031	11.5624	-30.5%	-8.97E-05
Proton	0.109	6.0	-1.58	0.12	0.04	0	HAPPEX	27	3.183	0.1265	-8.0%	-9.80E-06
Helium4	0.077	6.0	-6.4	0.23	0.12	0	HAPPEX	28	2.672	0.2594	-4.1%	-6.93E-06
Proton	0.22	144.5	-17.23	0.82	0.89	0	PVA4	29	0.312	1.2102	-7.0%	-1.98E-05
Proton	0.221	110	-11.25	0.86	0.27	0.43	G0	30	0.352	0.9987	-8.9%	-1.99E-05
Deuteron	0.221	110	-16.93	0.81	0.41	0.21	G0	31	0.352	0.9318	-5.5%	-1.99E-05
Proton	0.628	110	-45.9	2.4	0.8	1	G0	32	0.679	2.7203	-5.9%	-5.65E-05
Deuteron	0.628	110	-55.5	3.3	2	0.7	G0	33	0.679	3.9217	-7.1%	-5.65E-05
Proton	0.624	13.7	-23.8	0.78	0.36	0	HAPPEX	34	3.482	0.8591	-3.6%	-5.61E-05
Deuteron	0.224	145	-20.11	0.87	1.03	0	PVA4	-26	0.315	1.3483	-6.7%	-2.01E-05
Proton	0.025	7.9	-0.2788	0.0351	0.0296		QWEAK	35	1.154	0.0459	-16.5%	-2.25E-06

# Parity-Violating Electron Scattering History & Relative Experimental Difficulty



Pioneering PVDIS (1978)  
early SM test – Prescott *et al.*

SLAC E122:  $\Delta A_{PV} = \pm 10$  ppm

Strange FF Searches (98 – 09)  
SAMPLE,  $G^0$ , A4, HAPPEX

$\Delta A_{PV} \sim 0.25$  ppm – 2 ppm

High Precision SM Tests  
(2003 – 2017)

SLAC E158:  $\Delta A_{PV} \sim 17$  ppb

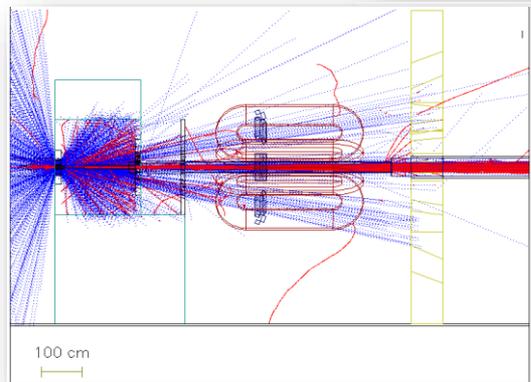
JLab  $Q_{weak}$ :  $\Delta A_{PV} \sim 9$  ppb

Future **sub-ppb** SM Tests

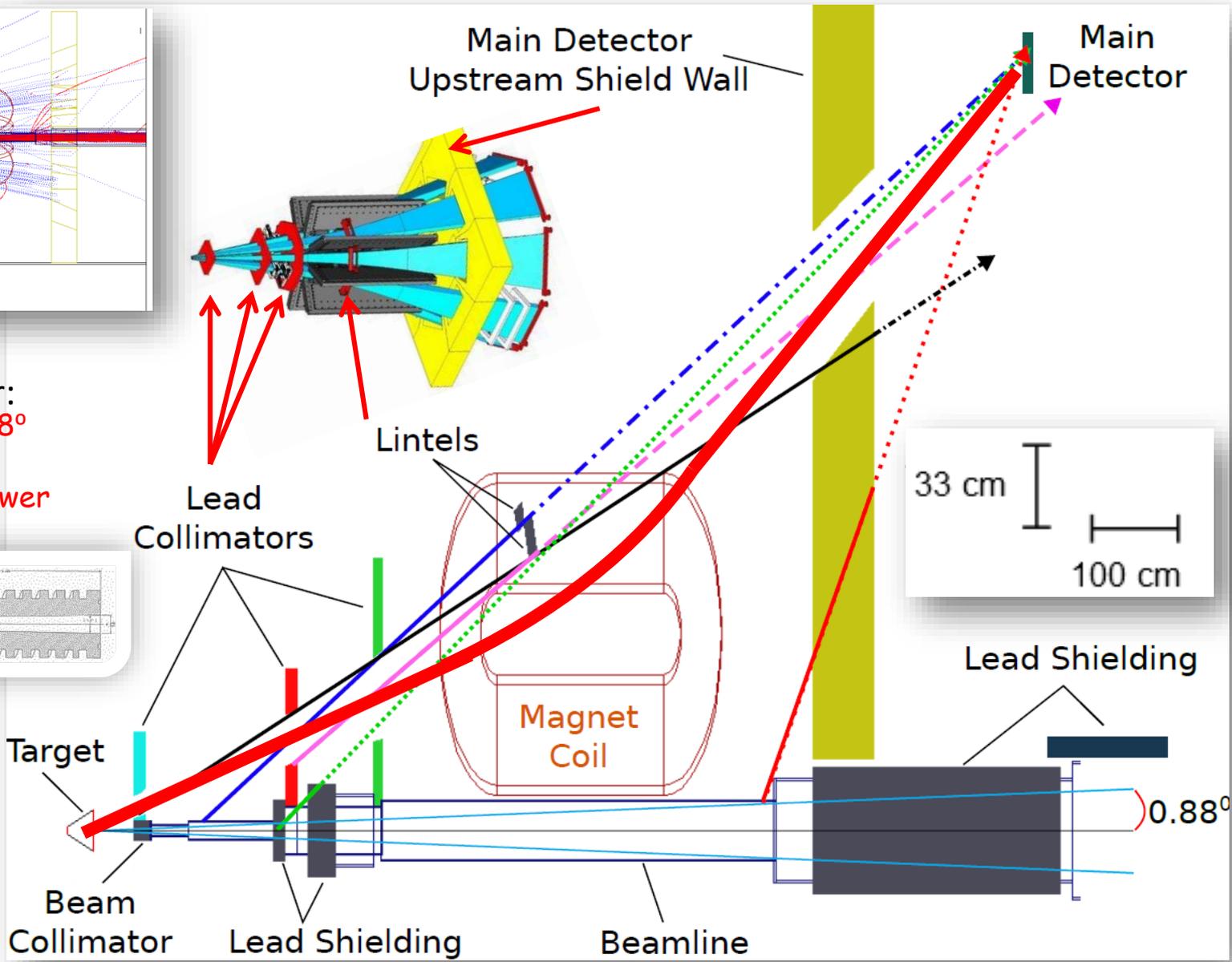
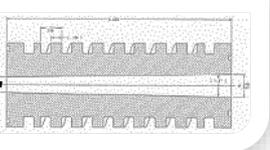
Jlab MOLLER:  $\Delta A_{PV} \sim 0.8$  ppb

Mainz P2:  $\Delta A_{PV} \sim 0.34$  ppb

# Neutral line-of-sight Collimation



Beam Collimator:  
 14.9 mm  $\phi$ ,  $\pm 0.88^\circ$   
 47 cm ds of tgt  
 1.6 kW beam power



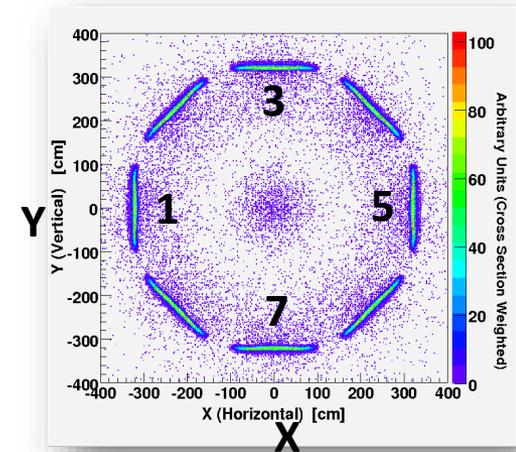
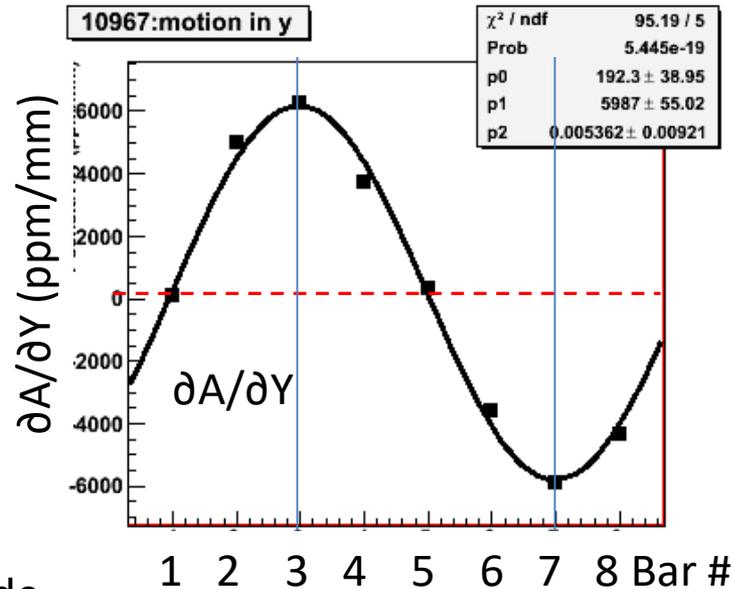
# Helicity-Correlated Beam Parameter Sensitivities

$$A_{beam} = \sum_i \frac{\partial A}{\partial \chi_i} \Delta \chi_i$$

where  $i$  runs over  $x, y, x'$  (angle),  $y'$  (angle), and energy.

**Natural:** Linear regression of natural beam motion

**Driven:** Drive sinusoidal beam oscillations with large amplitude



Avg gives net correction, suppressed by symmetry

Beam Parameter	Run 1 $\Delta \chi_i$	Run 2 $\Delta \chi_i$	Typical $\partial A / \partial \chi_i$
$X$	$-3.5 \pm 0.1$ nm	$-2.3 \pm 0.1$ nm	$-2$ ppb/nm
$X'$	$-0.30 \pm 0.01$ nrad	$-0.07 \pm 0.01$ nrad	$50$ ppb/nrad
$Y$	$-7.5 \pm 0.1$ nm	$0.8 \pm 0.1$ nm	$< 0.2$ ppb/nm
$Y'$	$-0.07 \pm 0.01$ nrad	$-0.04 \pm 0.01$ nrad	$< 3$ ppb/nrad
Energy	$-1.69 \pm 0.01$ ppb	$-0.12 \pm 0.01$ ppb	$-6$ ppb/ppb

Run 1:  $A_{beam} = 18.5 \pm 4.1$  ppb

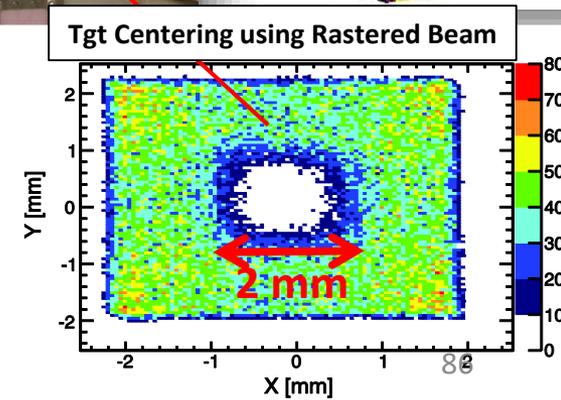
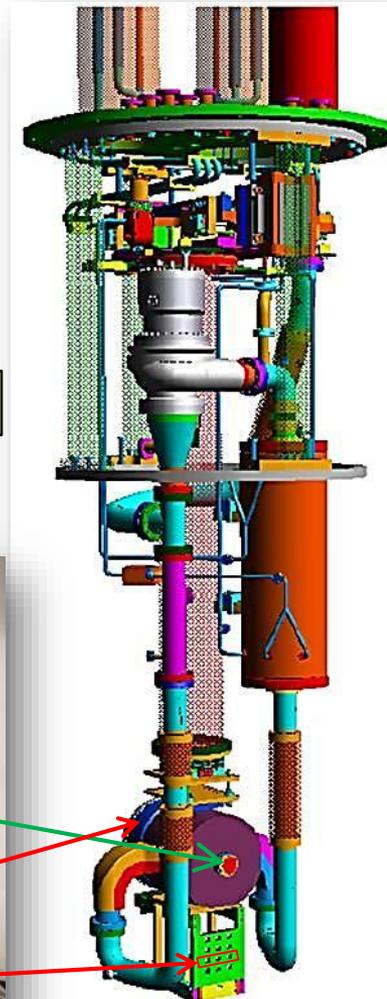
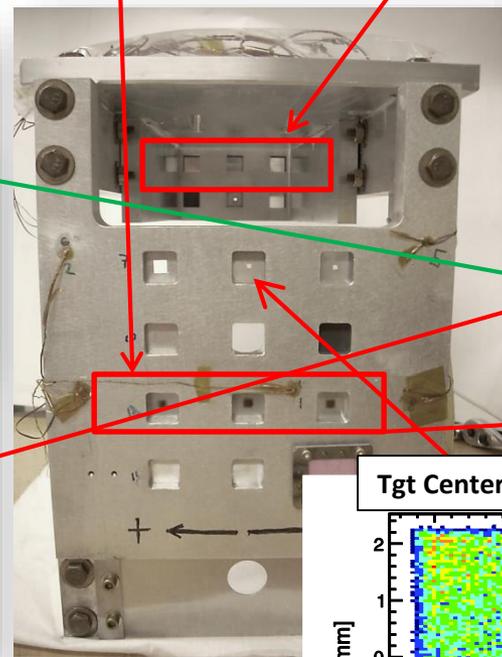
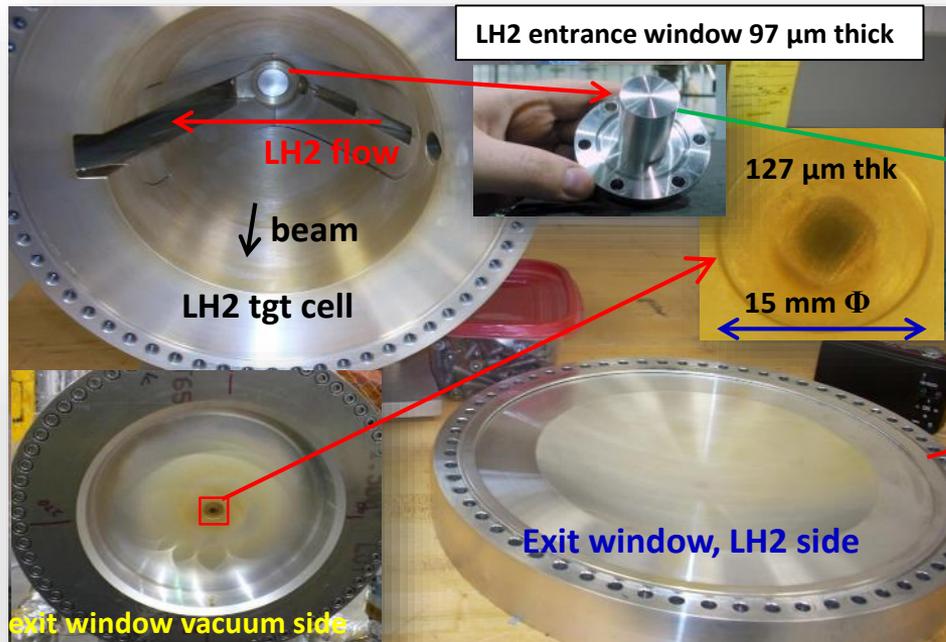
Run 2:  $A_{beam} = 0.0 \pm 1.1$  ppb

# Aluminum (Target Window) Background

Dominant correction to the asymmetry: Bkg from e's that scatter from aluminum entrance and exit windows on hydrogen target

- **Dilution fraction ( $f_1$ ):** Directly measured with empty target
- **Asymmetry ( $A_1$ ):** Directly measured on thick “dummy” targets of identical alloy as LH2 target windows
- Corrections for effects of LH<sub>2</sub> made using simulation and data-driven models of elastic and quasi-elastic scattering

Upstream & Downstream Dummies



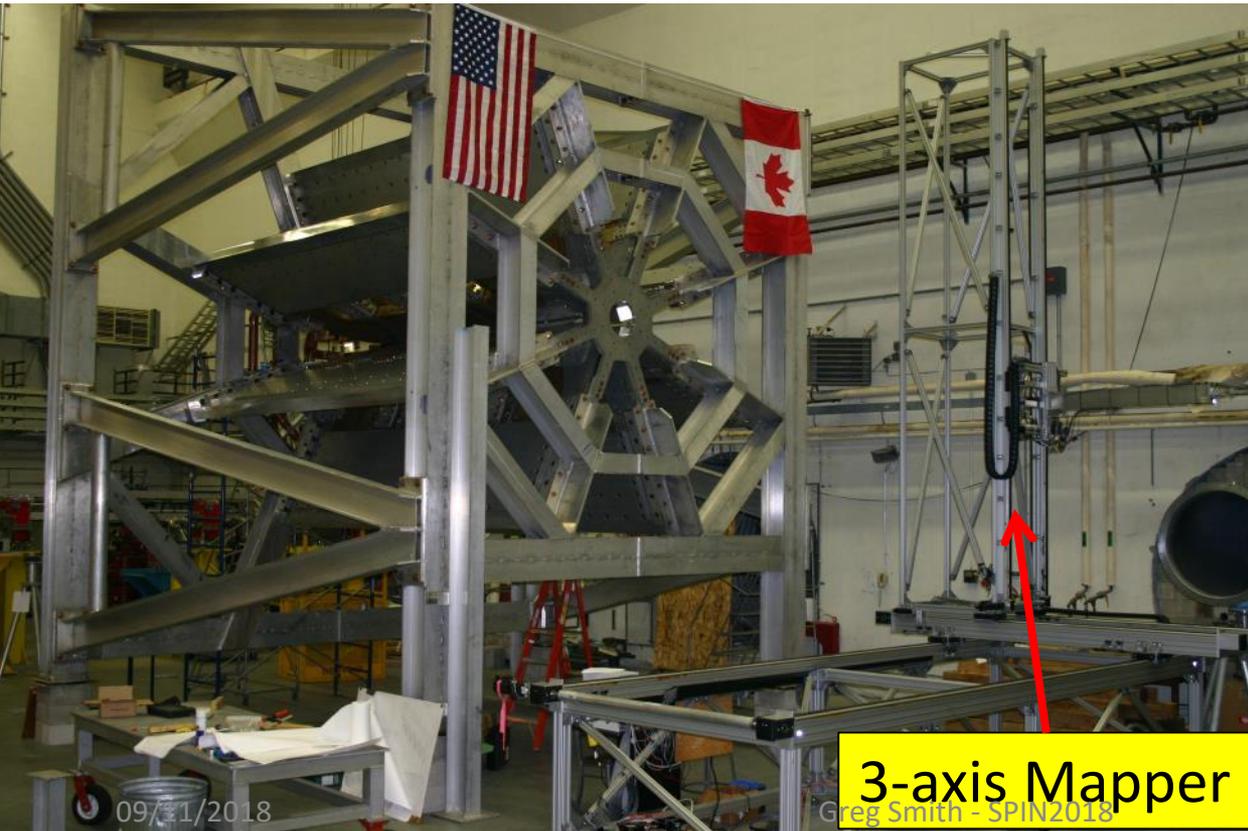
$f_1 = 2.52 \pm 0.06 \%$     $A_1 = 1517 \pm 77$  ppb  
 -38 ppb correction to msrd  $A_{ep}$  (~20%)

# QTOR Magnet

- Manitoba / TRIUMF / MIT-Bates / JLab
- Open geometry **resistive toroid**, for maximum solid angle acceptance
- Eight water cooled, dble pancake coils
- Separates elastics from inelastics at focus



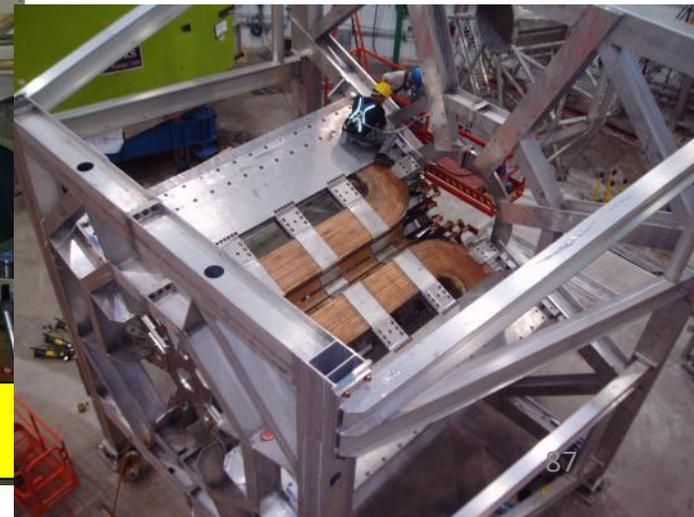
Power Supply:  
150 V, 9100 A  
(1.4 MW)



3-axis Mapper

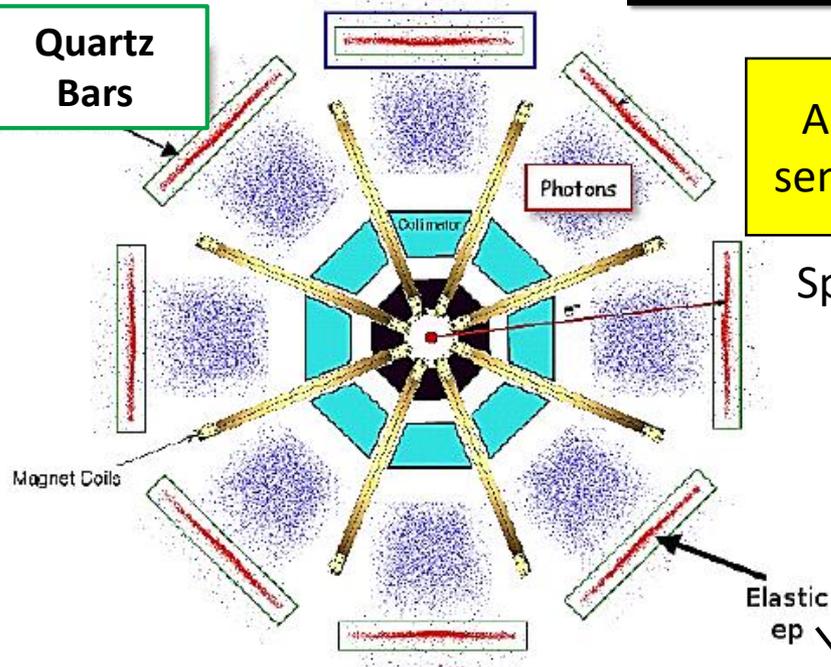
Greg Smith - SPIN2018

09/11/2018



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# Quartz Cerenkov Detectors

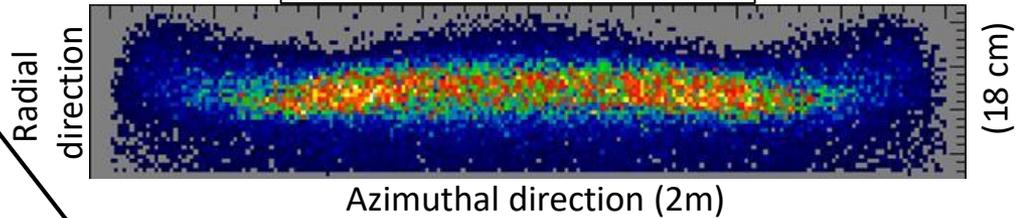


Azimuthal symmetry maximizes rate and decreases sensitivity to HC beam motion, transverse asymmetry.

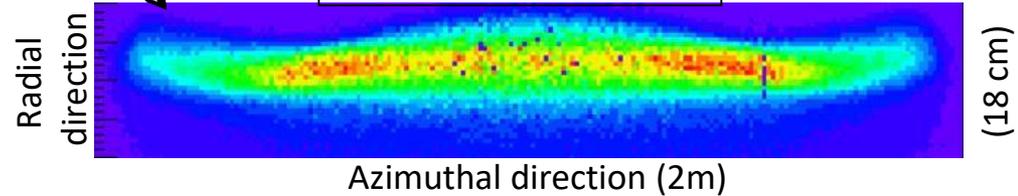
Spectrosil 2000 (fused silica) Cerenkov radiators:

- Eight bars, each 2 m long, 18 cm hi, 1.25 cm thick
- Rad-hard. non-scintillating, low-luminescence

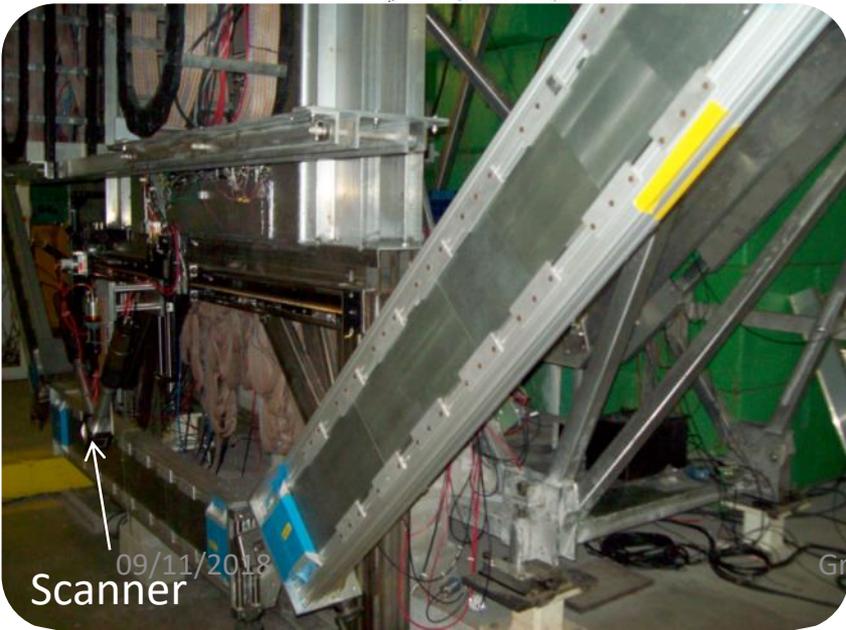
Simulation of MD face:



Measured



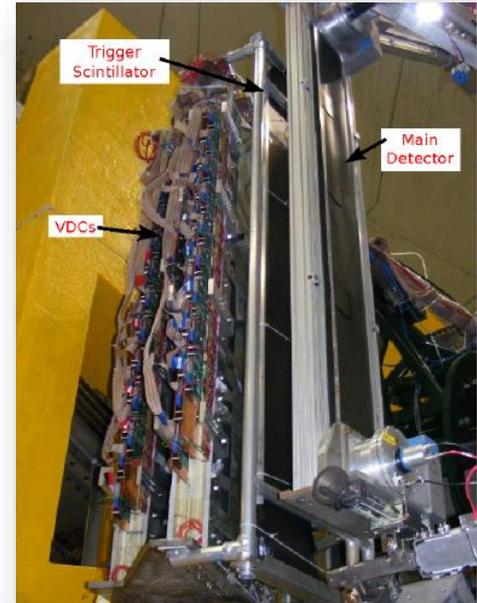
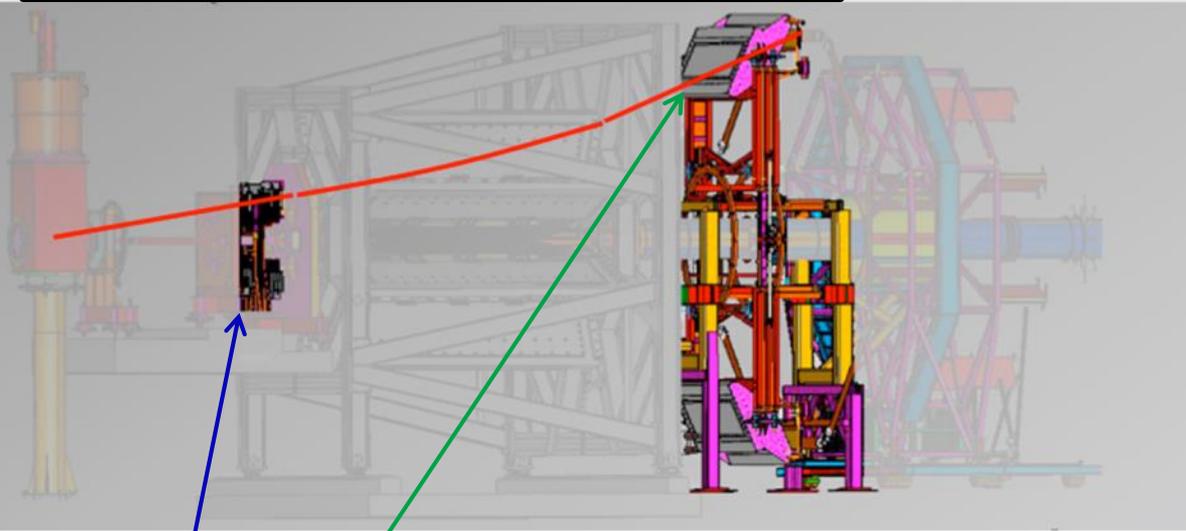
Yield 100 pe's/track with 2 cm Pb pre-radiators  
Resolution (~10%) limited by shower fluctuations.



# Determining the Kinematics

Required uncertainty on  $Q^2$  is 0.5%  
Combination of tracking and simulation

$$A_{PV} = -\frac{Q^2 G_F}{4\sqrt{2}\pi\alpha} [Q_W^p + F(\theta, Q^2)]$$



- **HDCs** before magnet to msr  $\theta$   
-  $Q^2 = 2E^2 (1-\cos\theta) / [1 + E/M(1-\cos\theta)]$
- **VDCs** & trigger scintillators after magnet to msr light weighted  $Q^2$  across quartz bars

$$Q^2 = 0.0249 \text{ (GeV/c)}^2$$

$$q = 0.80 \text{ fm}^{-1}$$

Track Projection on SW01 5

