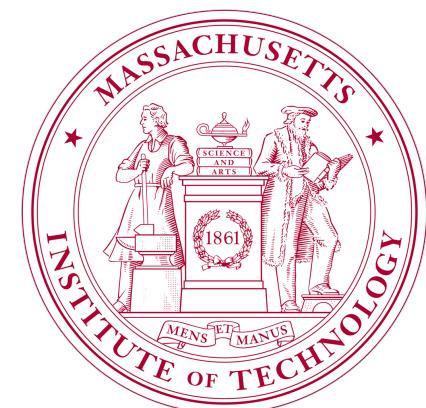
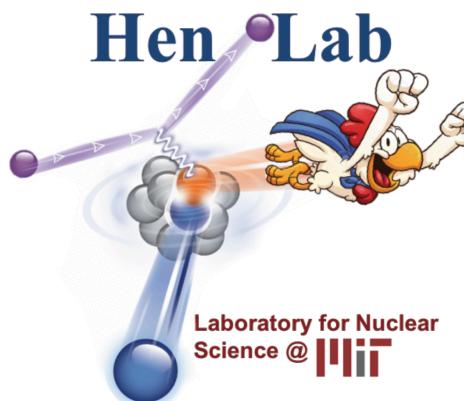
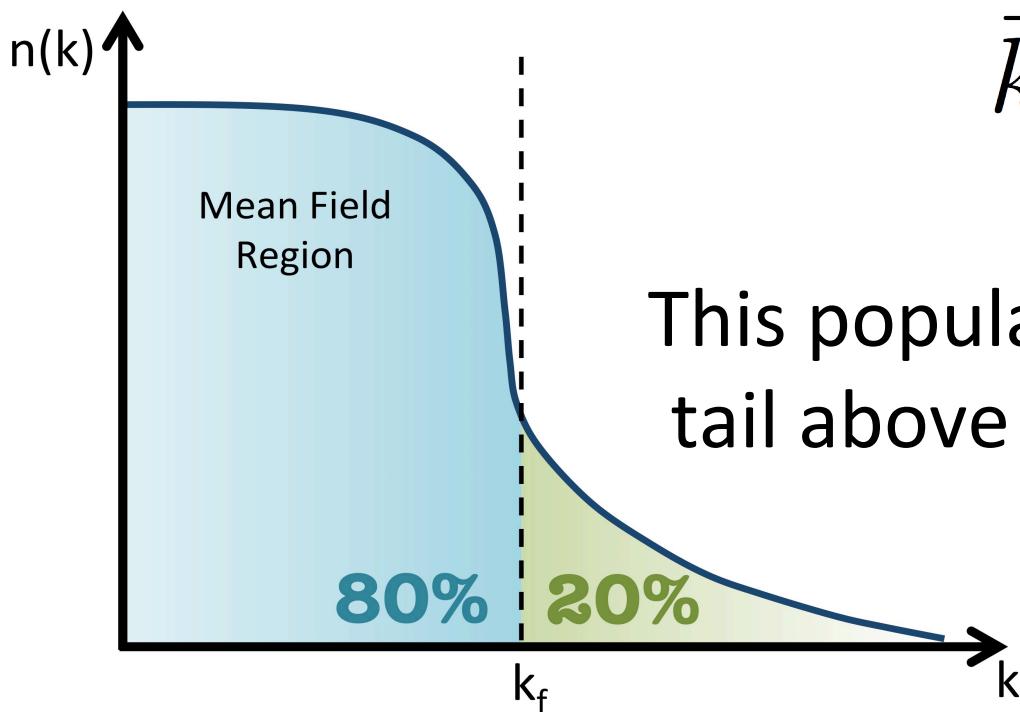
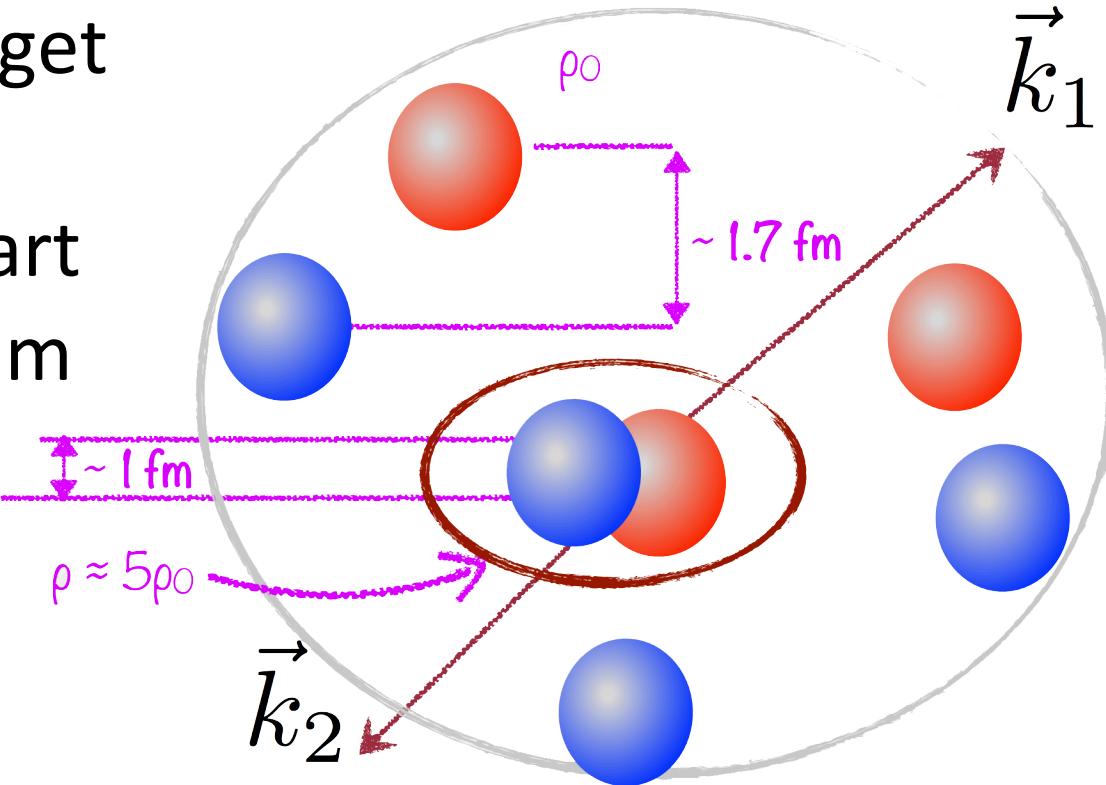


Short-Range correlations studies using the nuclear contact formalism

Reynier Cruz Torres - MIT



When two nucleons get close inside the nucleus, they fly apart with high momentum



This populates a high-momentum tail above the Fermi momentum

Why effective theories for SRCs?

- Complicated NN interaction & large nuclear density
 - Mean-Field theories don't include SRCs
- Ab-initio calculations are limited to light-medium nuclei

In this talk:

1. Contact formalism in nuclear systems

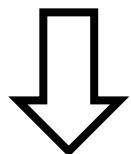
R. Weiss & R. Cruz-Torres *et al.*, Phys. Lett. B 780 211 (2018)

2. Nuclear Correlation Functions

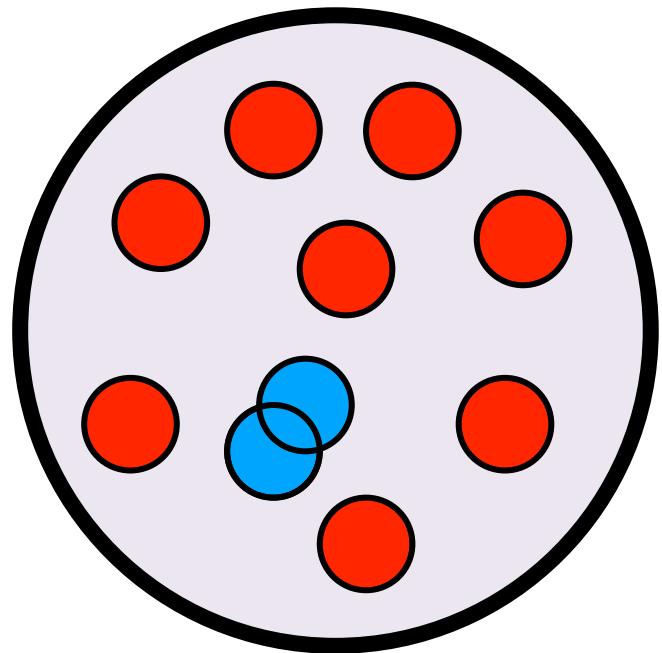
R. Cruz-Torres *et al.*, Phys. Lett. B In-Print (2018)

Factorization in nuclear systems

Scale separation at short distances

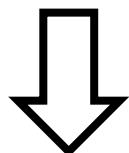


Factorization of the nuclear
wavefunction

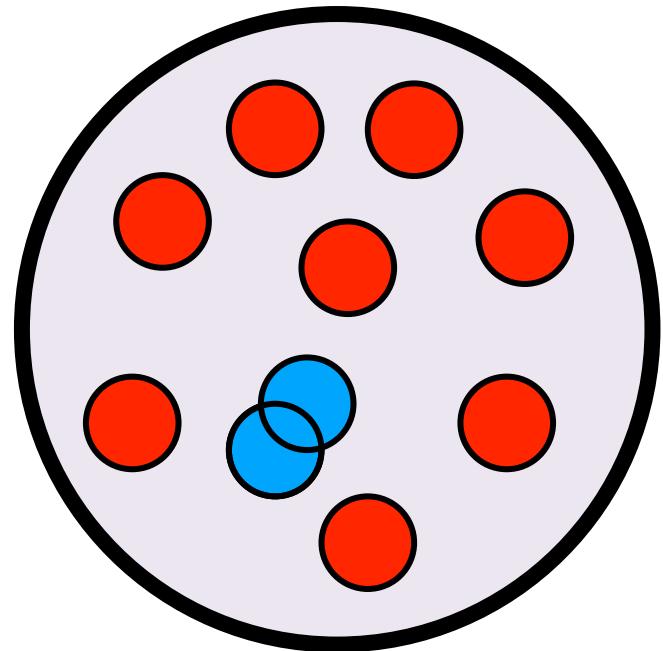


Factorization in nuclear systems

Scale separation at short distances



Factorization of the nuclear
wavefunction



$$\Psi \xrightarrow{r_{ij} \rightarrow 0} \varphi(r_{ij}) \times A_{ij}(R_{ij}, \{r\}_{k \neq ij})$$

two-body
function

A-2 residual
system

Contact Formalism

High-k two-body densities:

$$\tilde{\rho}_2^{pp} = C_{pp}^{s=0} |\tilde{\varphi}_{pp}^{s=0}(k)|^2$$

Scaling constants called
Contacts

(nucleus dependent)

zero-energy solution of 2-
body Schrödinger equation

(universal)

Contact Formalism

High-k two-body densities:

$$\tilde{\rho}_2^{pp} = C_{pp}^{s=0} |\tilde{\varphi}_{pp}^{s=0}(k)|^2$$

$$\tilde{\rho}_2^{pn} = C_{pn}^{s=0} |\tilde{\varphi}_{pn}^{s=0}(k)|^2 + C_{pn}^{s=1} |\tilde{\varphi}_{pn}^{s=1}(k)|^2$$

Contact Formalism

High-k two-body densities:

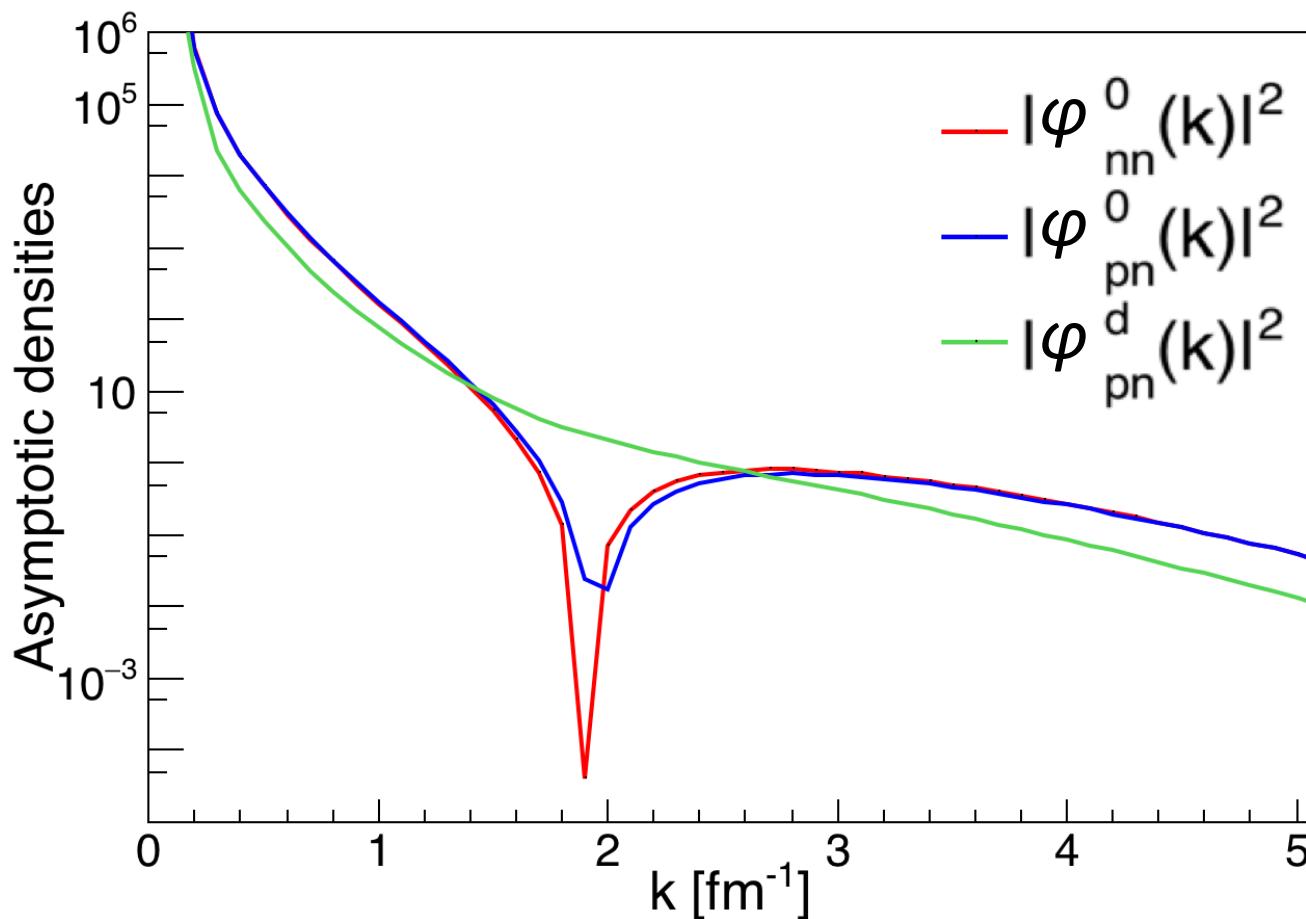
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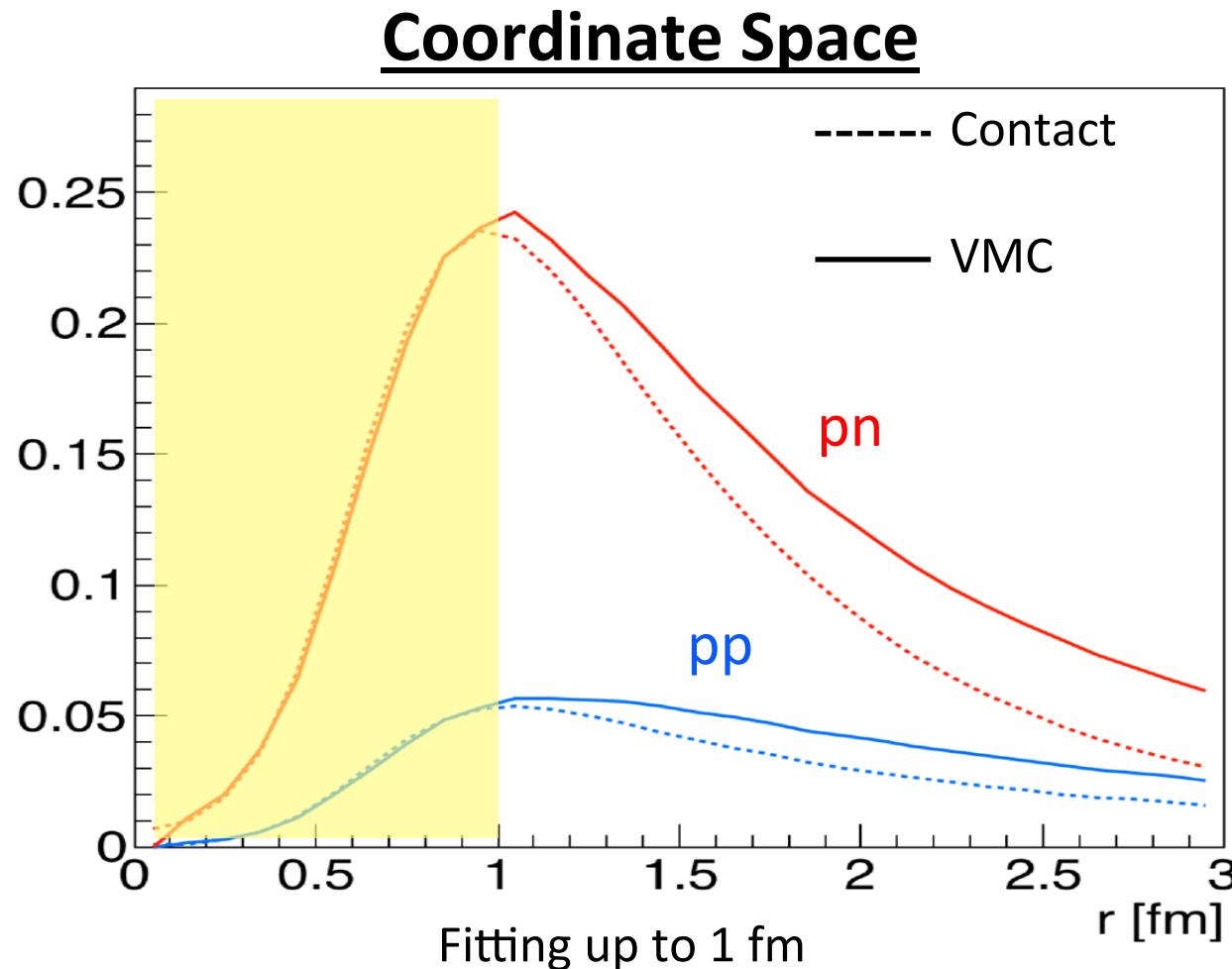
High-k one-body density:

$$n(k) = 2C_{pp}^{s=0} |\tilde{\varphi}_{pp}^{s=0}(k)|^2 + C_{pn}^{s=0} |\tilde{\varphi}_{pn}^{s=0}(k)|^2 + C_{pn}^{s=1} |\tilde{\varphi}_{pn}^{s=1}(k)|^2$$

NN asymptotic wave-functions

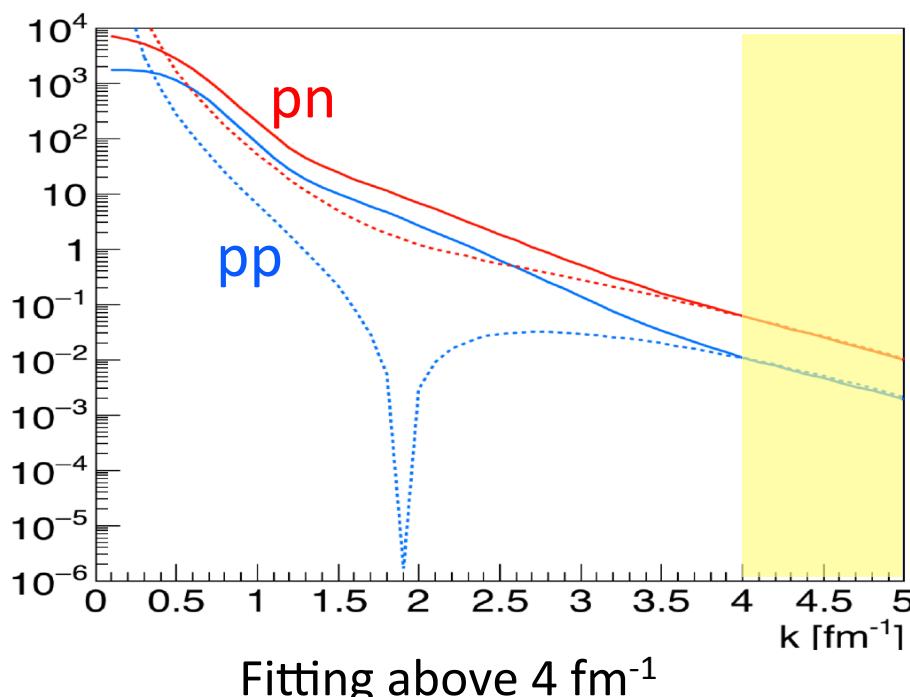


Contact Extraction: 2-body densities

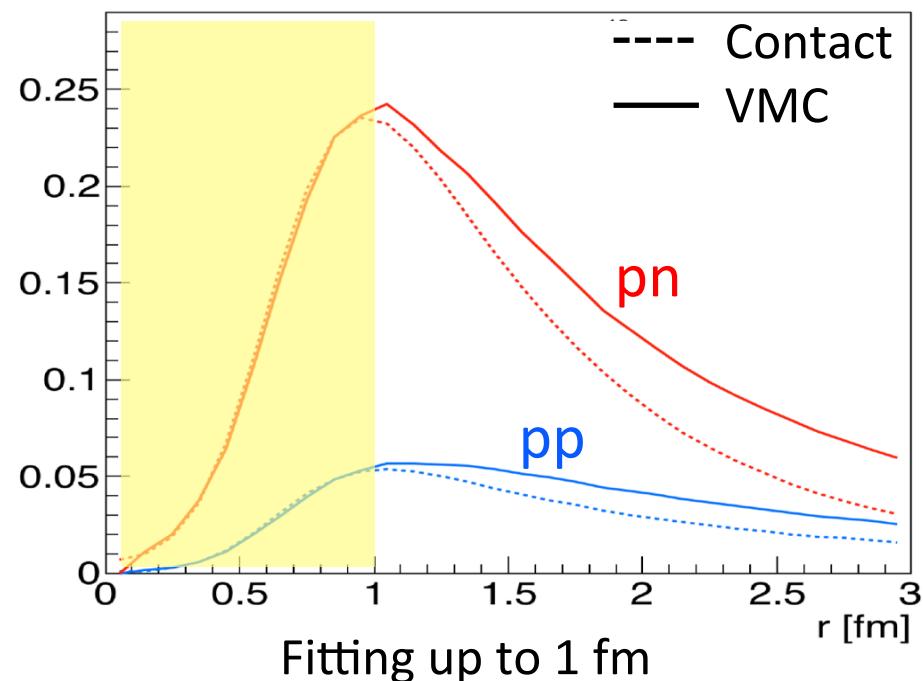


Contact Extraction: 2-body densities

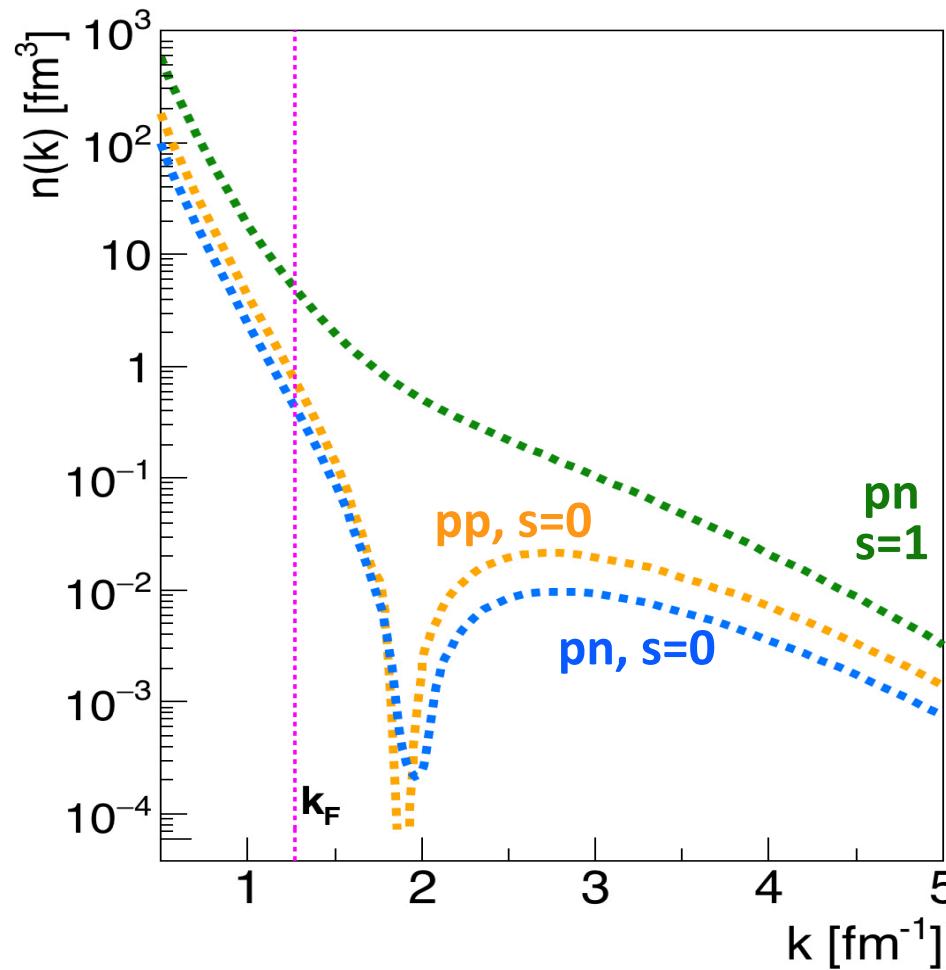
Momentum Space



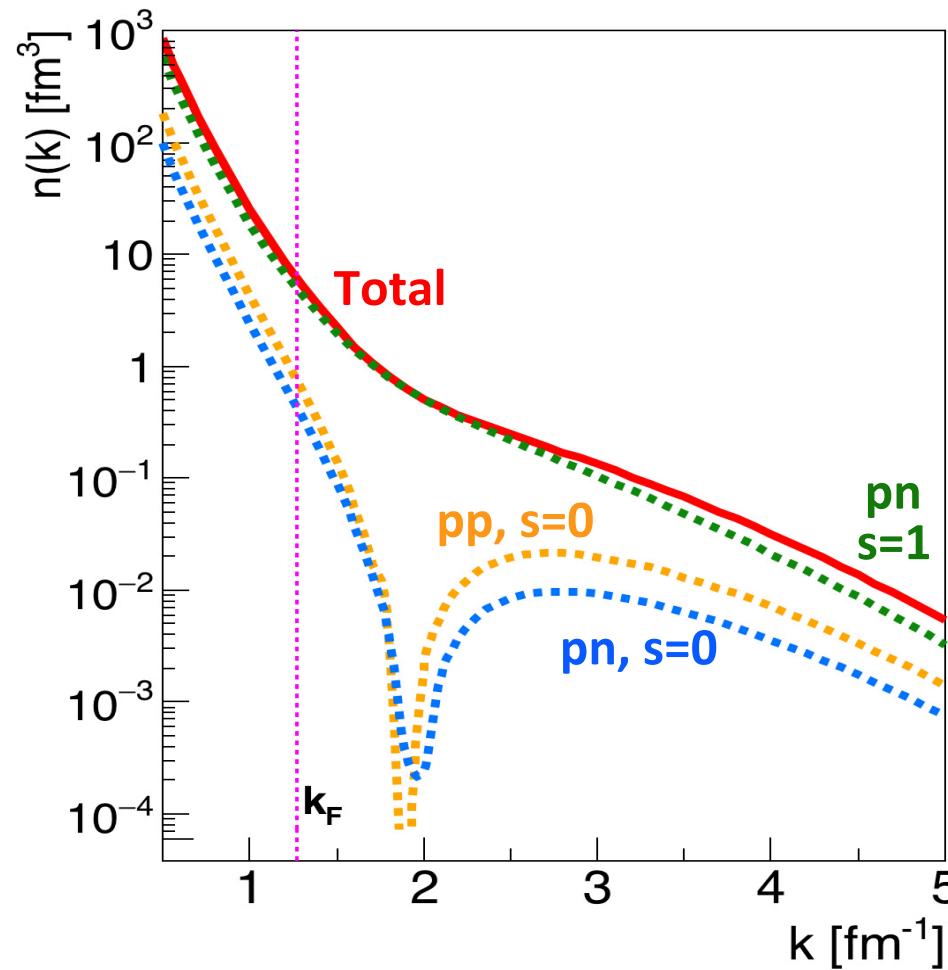
Coordinate Space



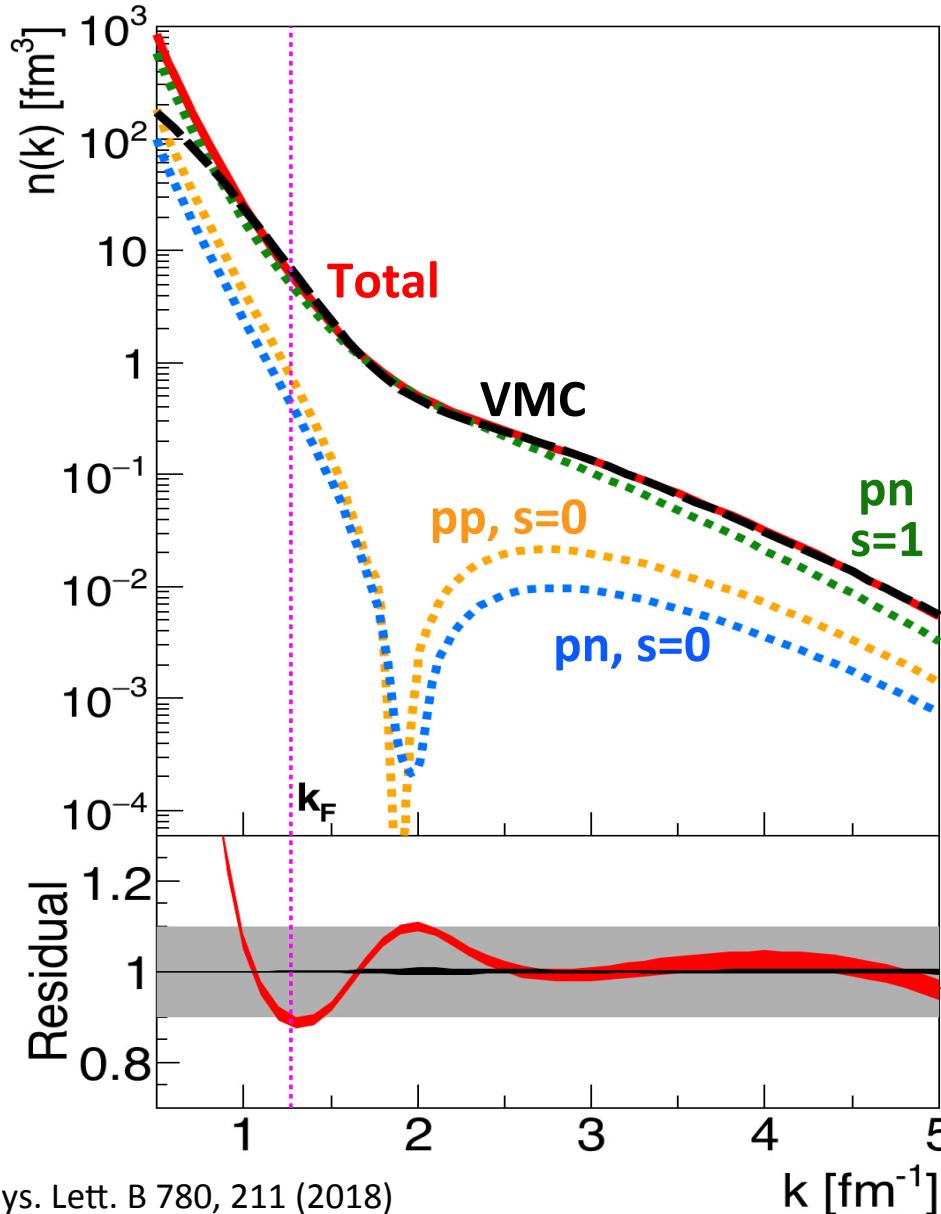
1-body distributions: $A = 4$



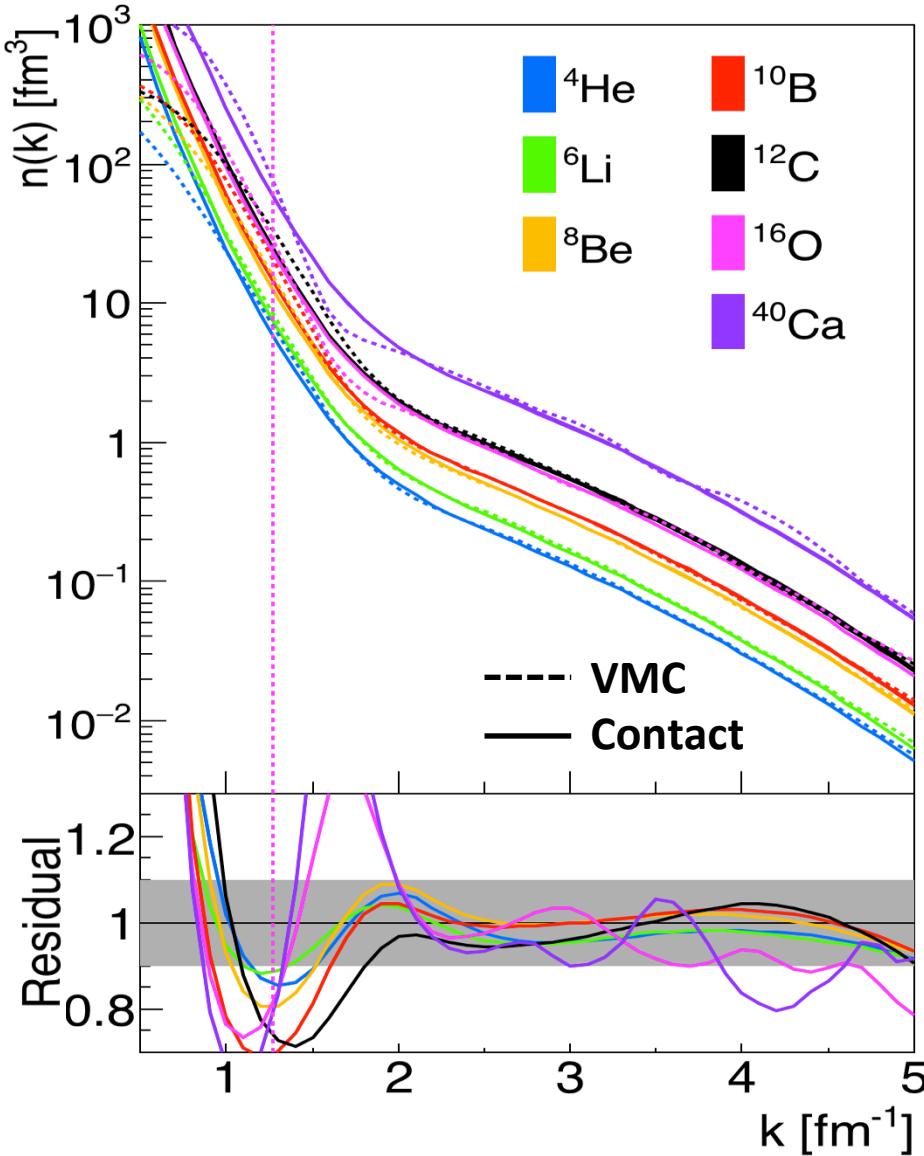
1-body distributions: $A = 4$



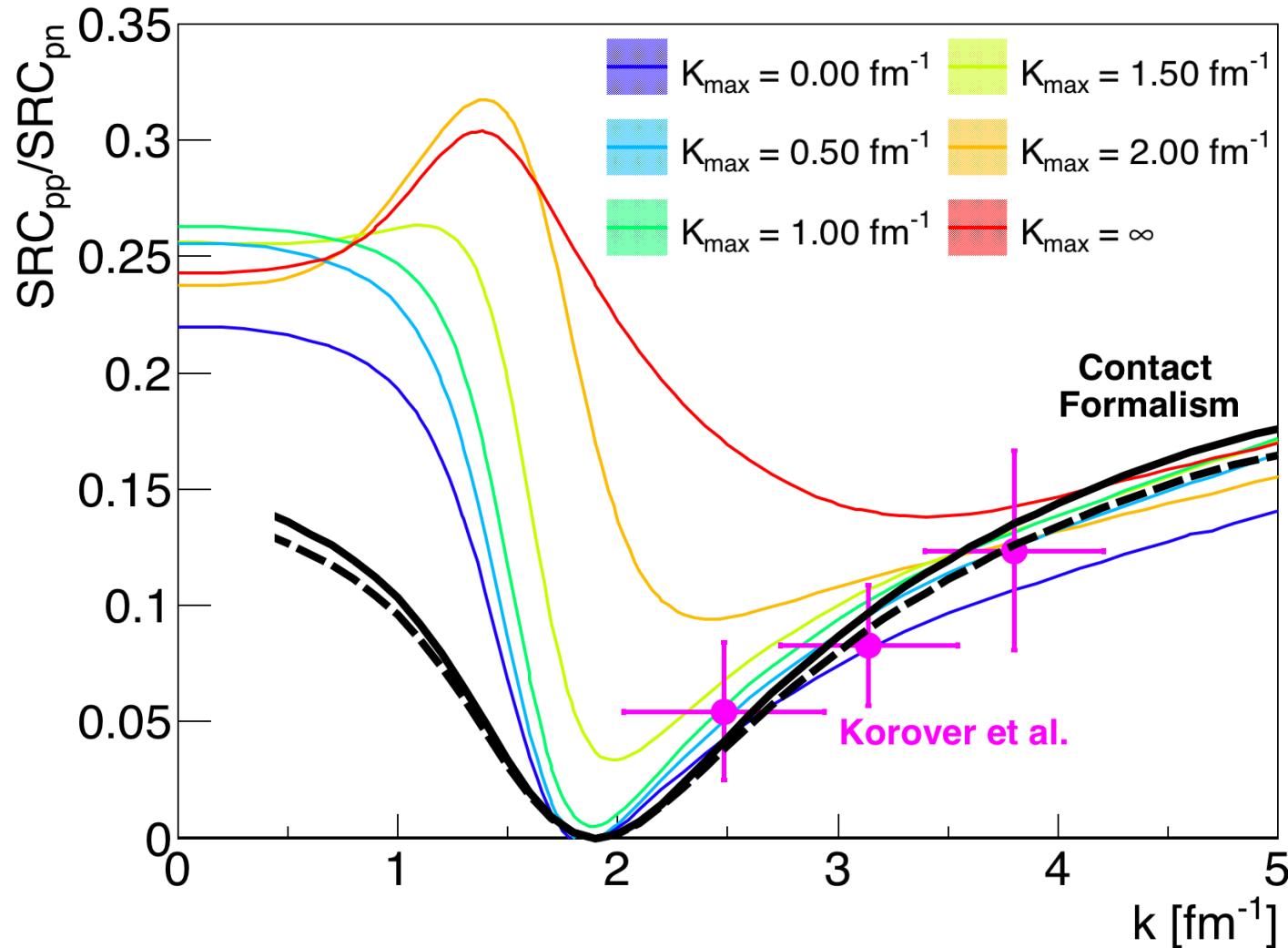
1-body distributions: $A = 4$



1-body distributions: $A \leq 40$



pp/pn fraction: $A = 4$



Contact formalism is connected to:

Electron scattering

PRC 92, 045205 (2015)

Photo-absorption cross section

PRL 114 no.1, 012501 (2015)

Coupled-channels theory

arXiv:1705.02592 (2017)

Coulomb sum rule

Few-Body Syst 58, 9 (2017)

Nuclear Charge-Radii

arXiv:1807.08677

arXiv:1805.12099

Spectral Functions

arXiv:1806.10217

Neutron Stars

PRC 93, 014619 (2016)

Ultracold Atomic Gases

PRC 92 no.4, 045205 (2015)

Correlation functions

PLB In-Print (2018)

arXiv:1710.07966

The EMC effect

arxiv 1607.03065 (2016)

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Contact
Formalism

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Correlation Functions

Common method to Introduce two-body correlations in effective theories.

$$|\Psi_{\text{cor.}}\rangle = \sqrt{F(r)} |\Psi_{\text{MF}}\rangle$$

$$F(r) \equiv \frac{\text{Fully correlated 2-body density}}{\text{Uncorrelated 2-body density}}$$

Correlation Function find applications in...

Neutrino-less double beta decay.

Phys. Lett. B 647, 128 (2007)
Phys. Rev. C 75, 051303 (2007)
Phys. Rev. C 76, 024315 (2007)
Phys. Rev. C 79, 055501 (2009)
Phys. Rev. C 79, 064317 (2009)

...

Nuclear transparency & QE Scattering

Phys. Rev. C46, 761 (1992)
Nucl. Phys. A580, 595 (1994)
Phys. Rev. D62, 113009 (2000)
Phys. Rev. C45, 1863 (1992)

Correlation Functions

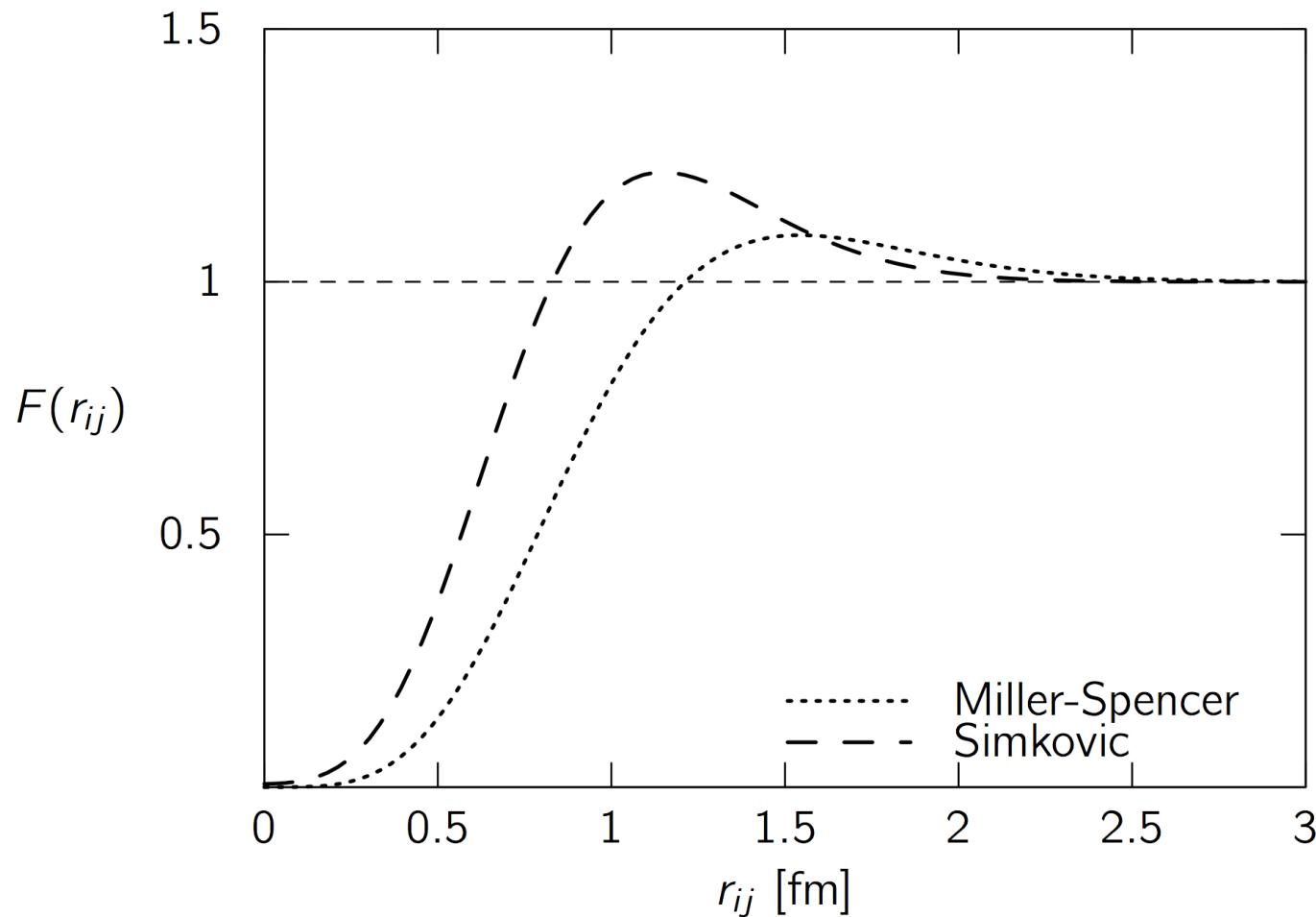
Shadowing in DIS

Phys. Rev. C 52, 1604 (1995)

Nuclear parity violation

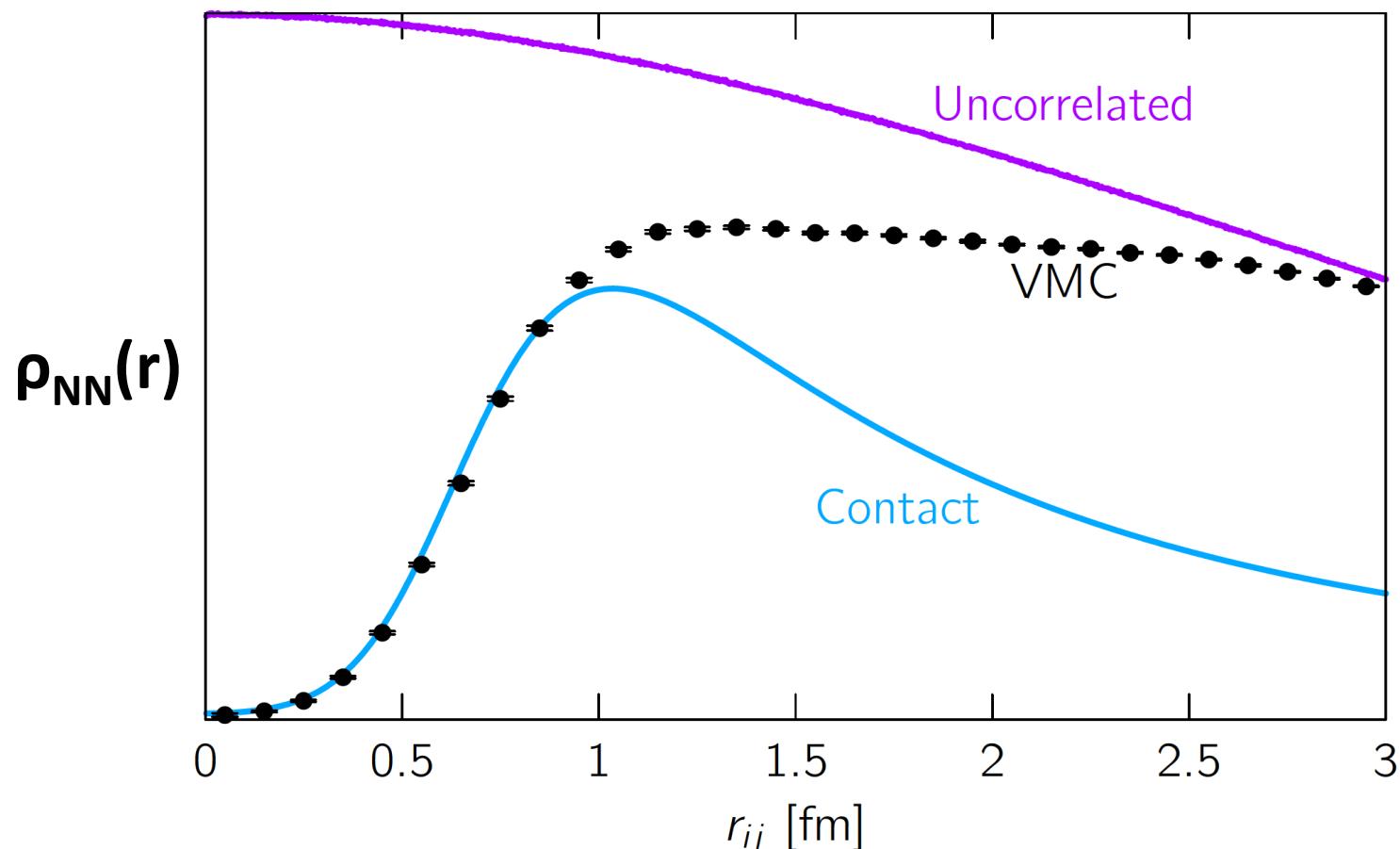
Ann. Rev. Nucl. Part. Sci. 35 501 (1985)

$$F(r) \equiv \frac{\text{Fully correlated}}{\text{Uncorrelated}}$$



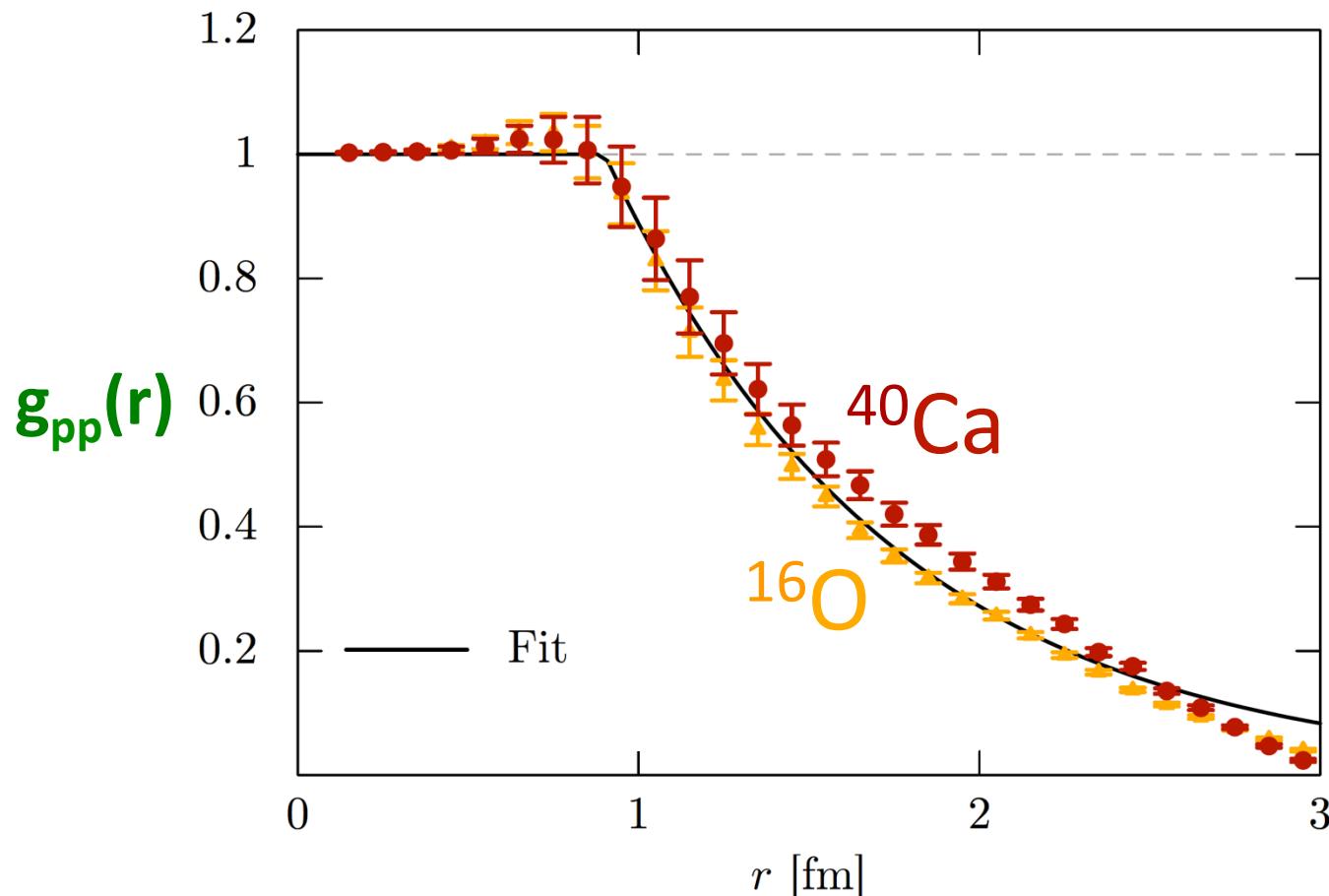
2 Component Blending Model

$$\rho_{NN}(r) = g_{NN}(r)\rho_{NN}^{(\text{contact})}(r) + \kappa(1 - g_{NN}(r))\rho_{NN}^{(\text{Uncorrelated})}(r)$$

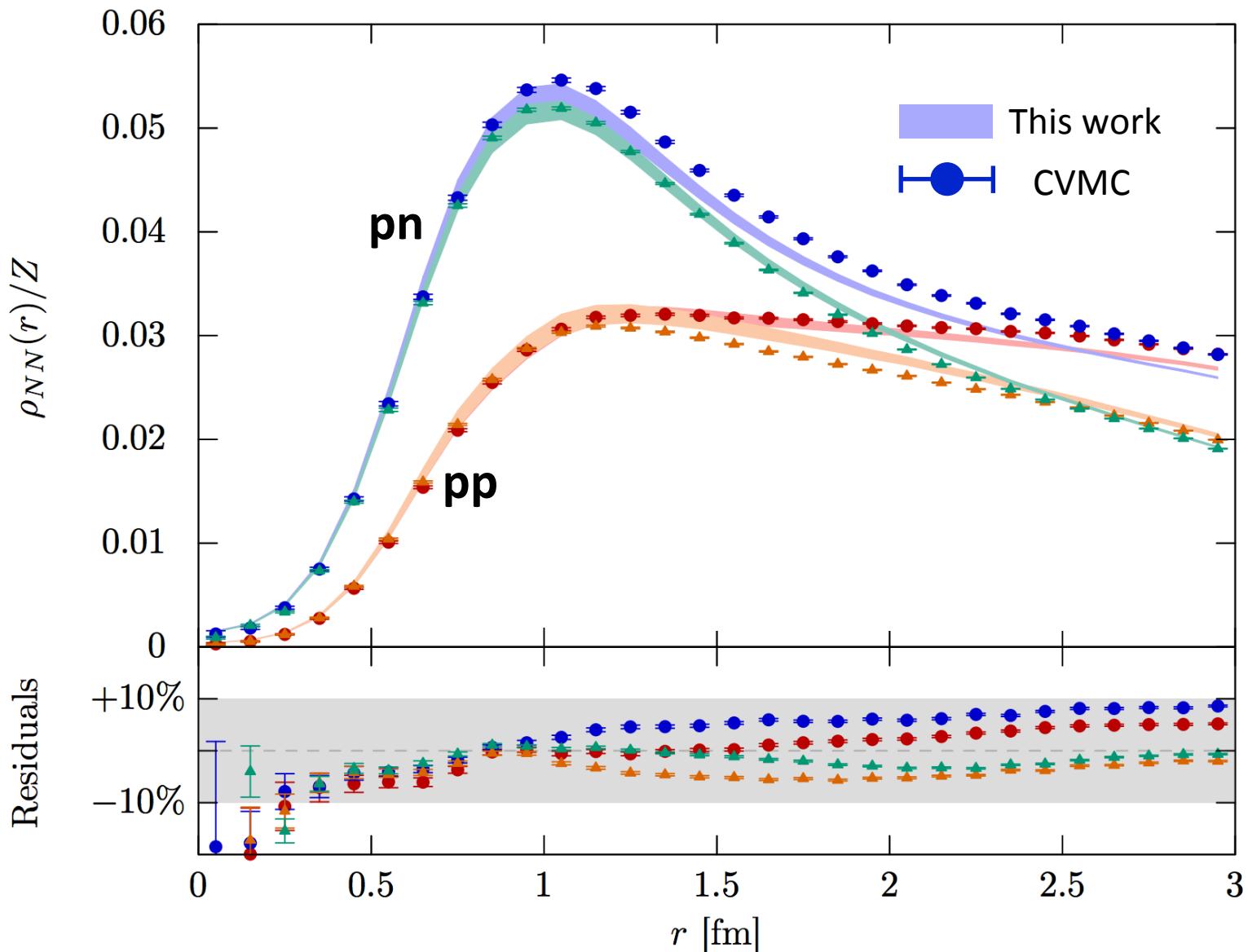


2 Component Blending Model

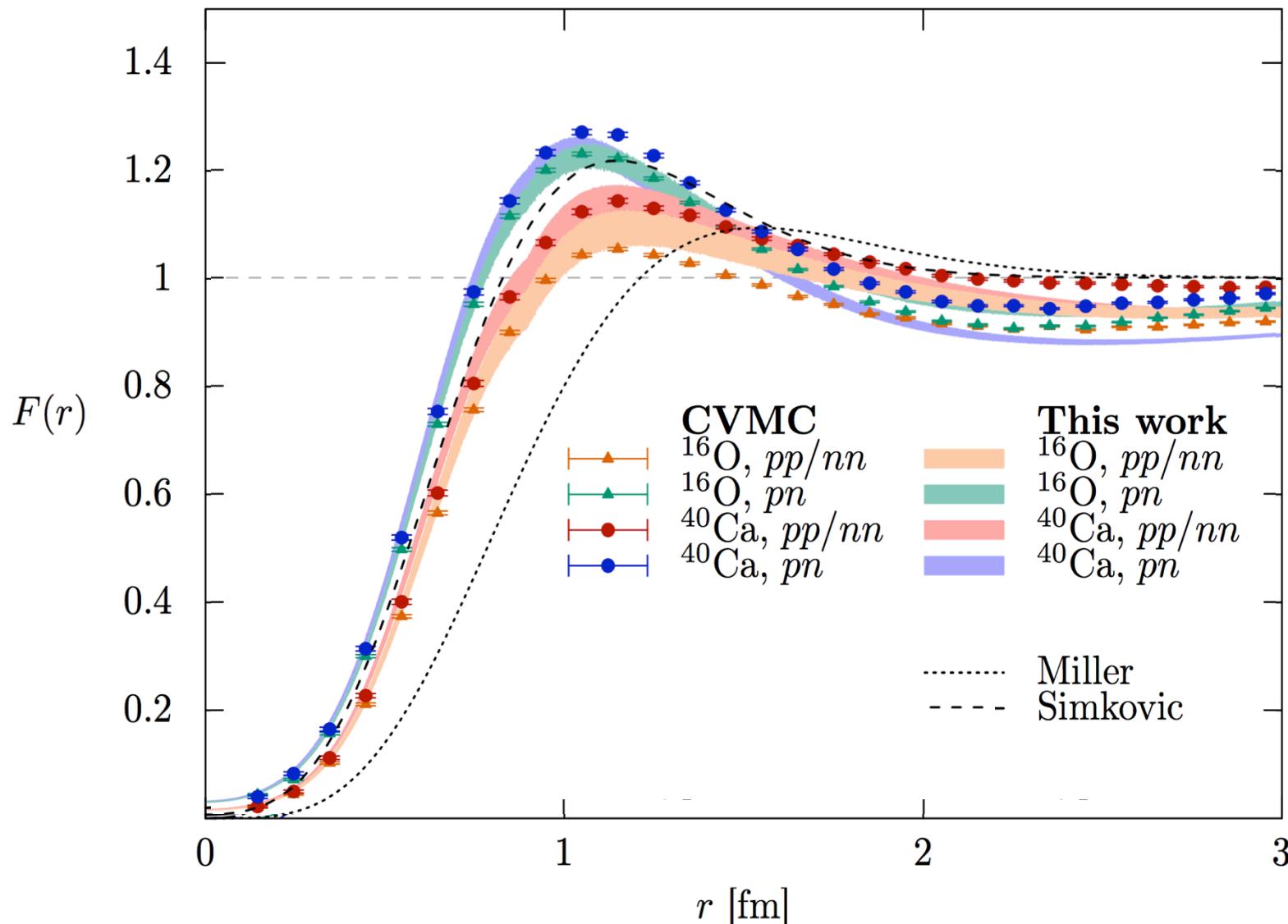
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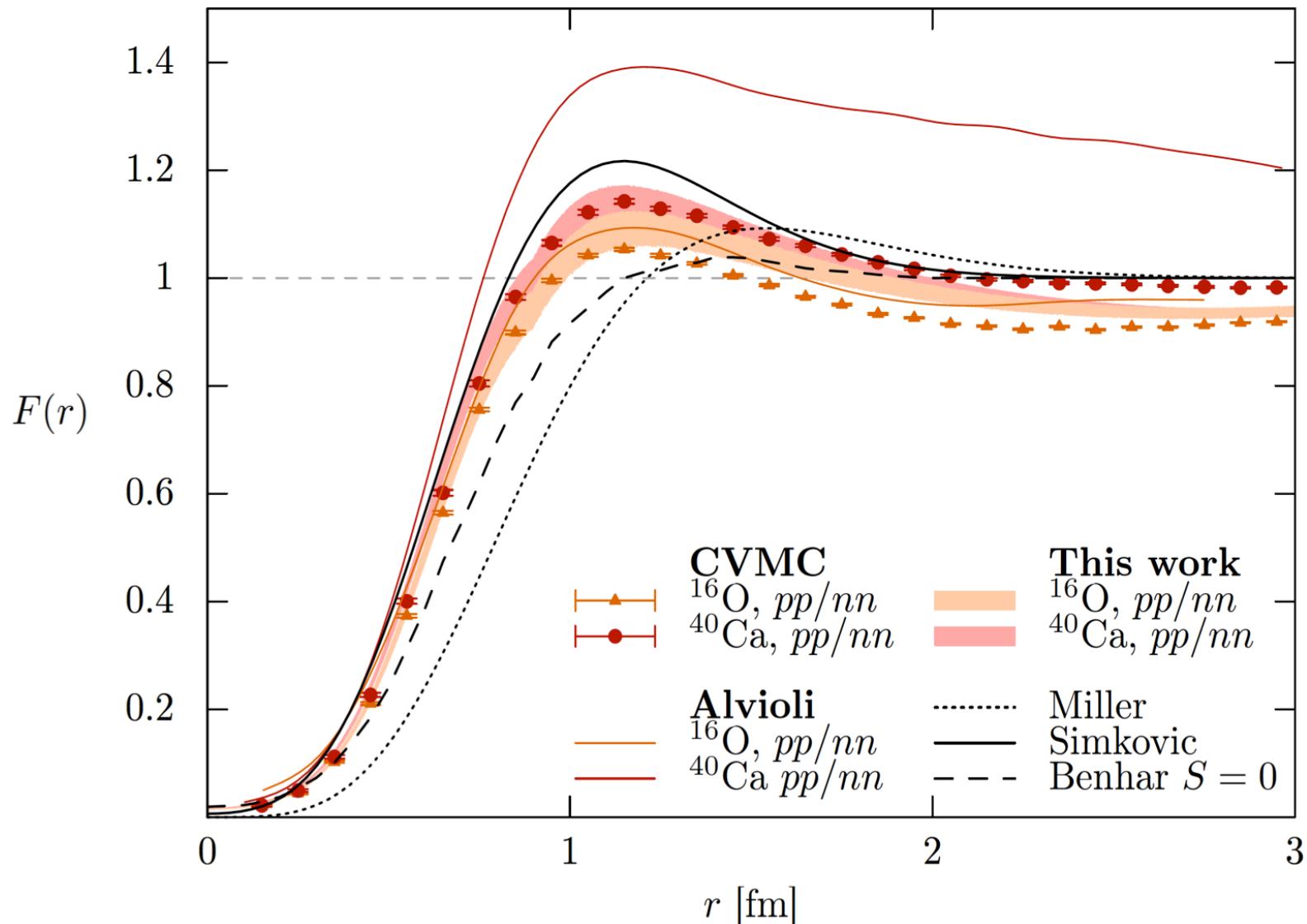
Test: 2-Body Density ($A = 16$ & 40)



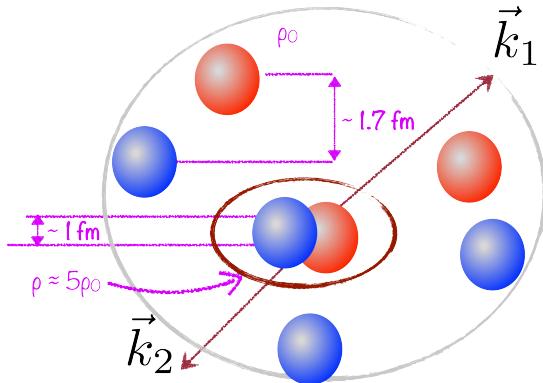
Correlation Functions



pp/nn Correlation Functions

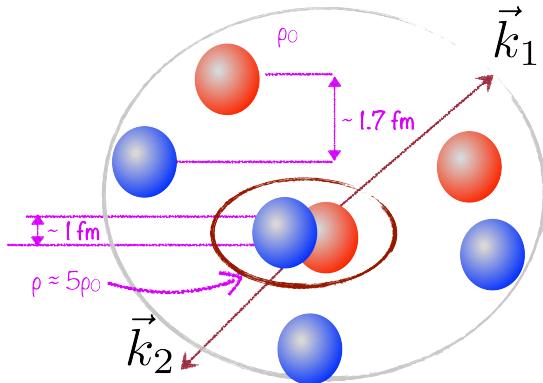


To Recap



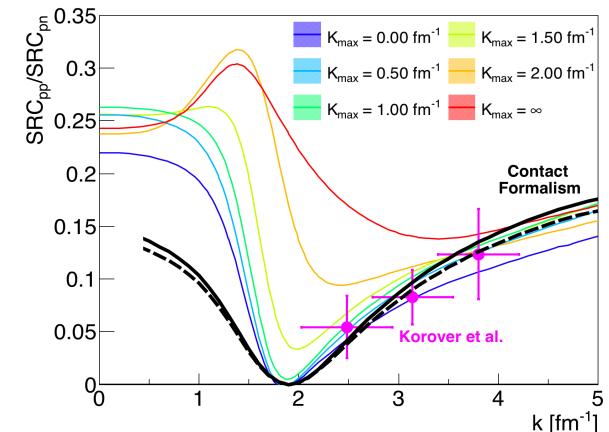
2-Nucleon Short-Range Correlations (SRC) are pairs of nucleons that interact at short distances and populate the high momentum states of the momentum distribution.

To Recap

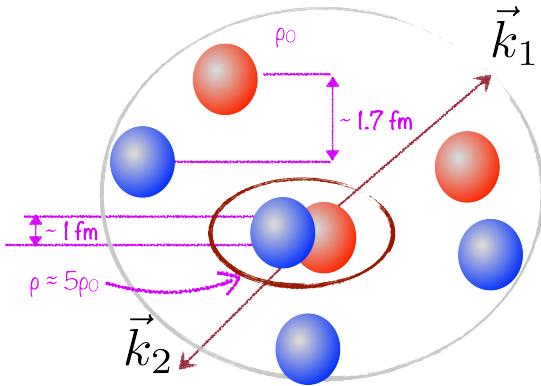


2-Nucleon Short-Range Correlations (SRC) are pairs of nucleons that interact at short distances and populate the high momentum states of the momentum distribution.

The Nuclear Contact Formalism is an effective theory that describes SRC by combining universal asymptotic wavefunctions with nucleus-dependent constants.

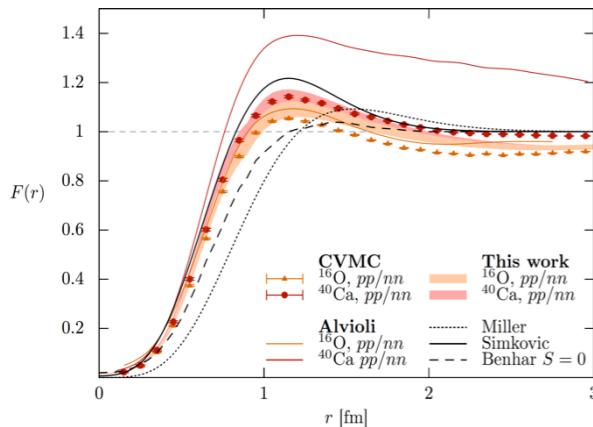
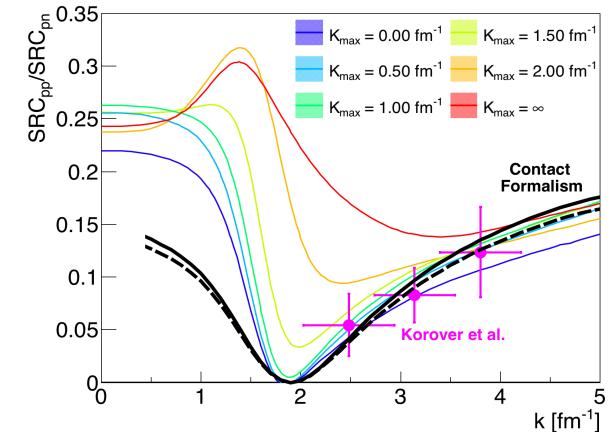


To Recap



2-Nucleon Short-Range Correlations (SRC) are pairs of nucleons that interact at short distances and populate the high momentum states of the momentum distribution.

The Nuclear Contact Formalism is an effective theory that describes SRC by combining universal asymptotic wavefunctions with nucleus-dependent constants.



We have developed a Correlation Function model that combines Contact Formalism at short distances and uncorrelated densities at long distances.

LABORATORY
for NUCLEAR SCIENCE



^ SRC Collaboration Meeting August 2018

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Massachusetts
Institute of
Technology

