



Measurements of azimuthal asymmetries in SIDIS on unpolarized protons

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on behalf of the COMPASS Collaboration



Content of this talk

- Unpolarized SIDIS at COMPASS
- Azimuthal asymmetries in SIDIS
- Overview of previous results
- A look at new COMPASS data
- Conclusions and perspectives

Unpolarized SIDIS at COMPASS



- SIDIS: one of the most powerful tools to assess TMD – PDFs and TMD – FFs.
- $\ell N \rightarrow \ell' hX$: one hadron detected in coincidence with the scattered lepton in the final state.

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MULTIPLICITIES

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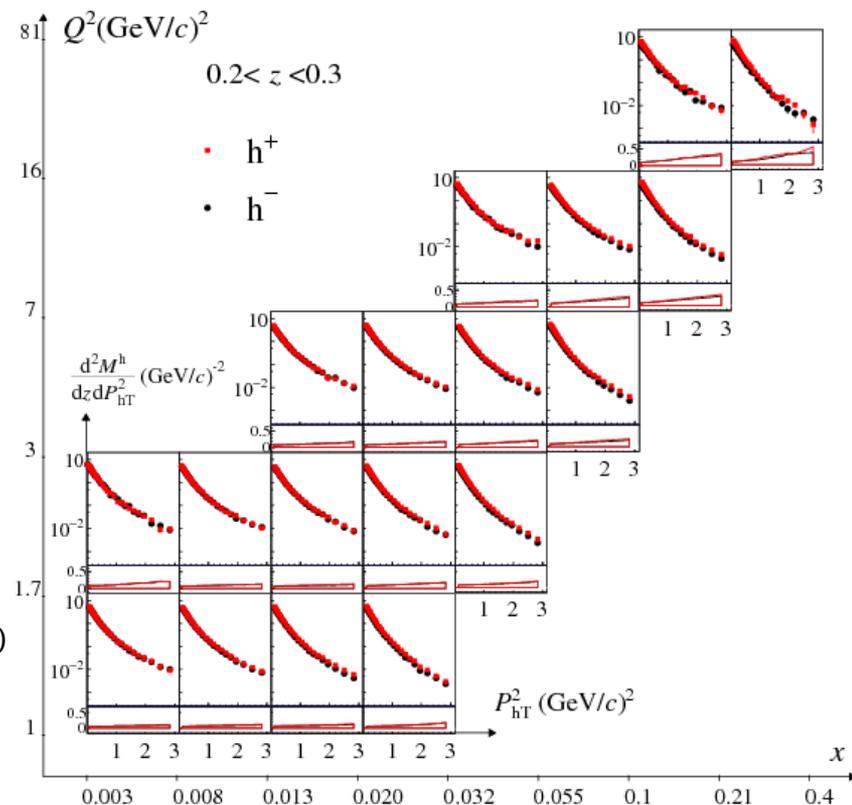
TWO MAIN EXPERIMENTAL OBSERVABLES

MULTIPLICITIES

$$M(z, P_T^{h^2})$$

see F. Kunne's talk
(focused on K^+ / K^-)

Multiplicities ($z, P_T^{h^2}$) with deuteron target
[COMPASS Coll., Phys. Rev. D **97**, 032006, 2018]
Here, e.g., multiplicities in a selected z bin, as function of $P_T^{h^2}$, for different regions of x and Q^2 .



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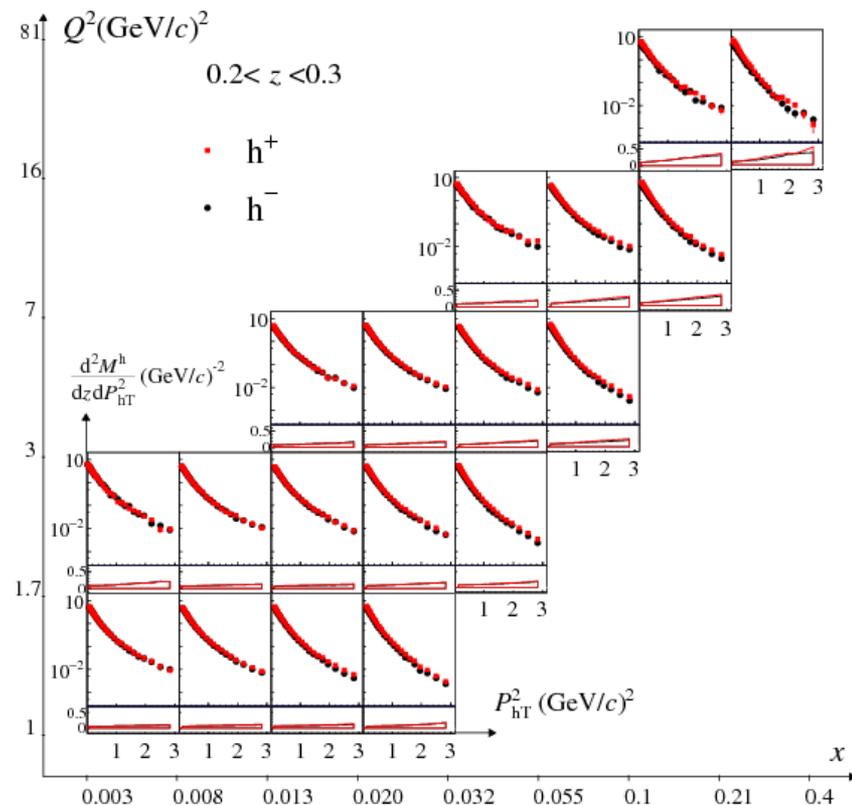
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AZIMUTHAL ASYMMETRIES

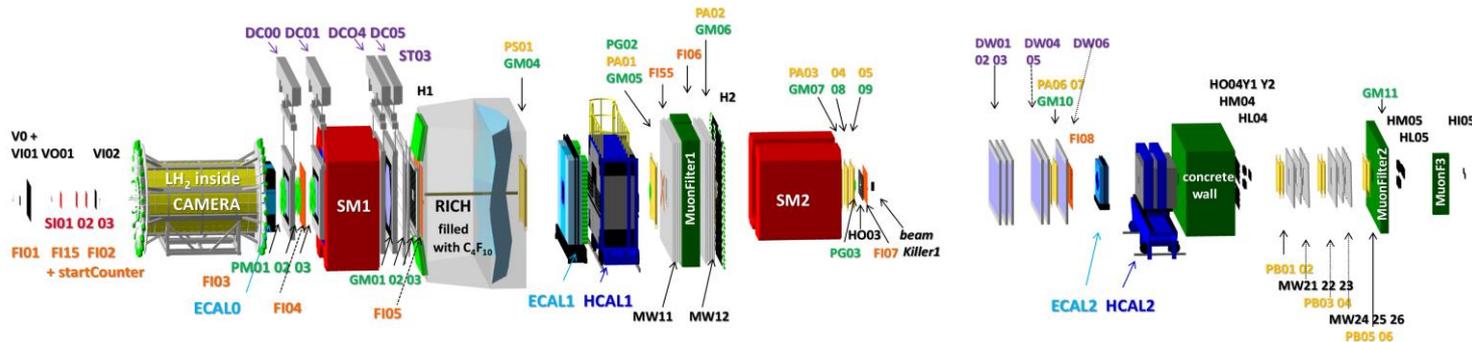
$$A_{XU}^{f(\phi_h)}(x, z, P_T^h)$$

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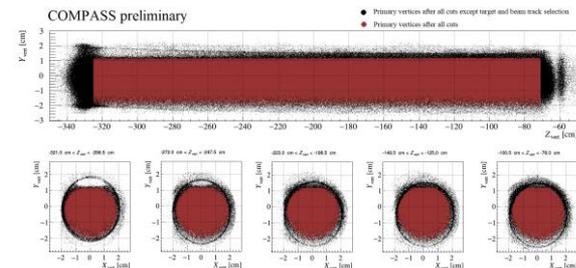
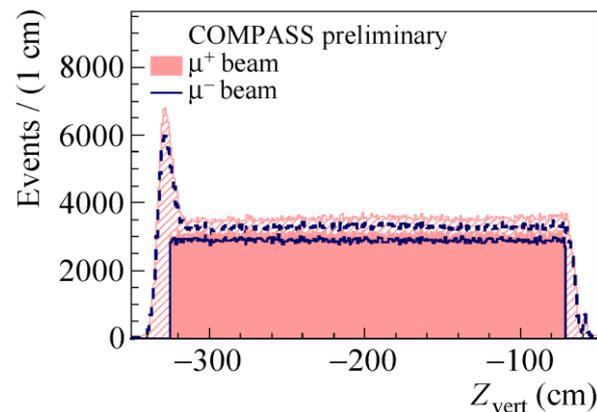


→ this talk



- Main goal of the 2016 and 2017 runs in COMPASS: access GPDs via the **Deeply Virtual Compton Scattering** (see A. Ferrero's talk).
- 160 GeV/c μ beam (μ^+ and μ^- with balanced statistics)
- In parallel, SIDIS data were collected
→ multiplicities, azimuthal asymmetries

- Target: liquid hydrogen 2.5 m long
- Unpolarized, one cell
- Very good resolution on the position of the primary vertices
- Target holder and exit windows well visible (but removed with proper cuts)



Azimuthal asymmetries in SIDIS

Differential cross section for the production of a hadron h in unpolarized DIS:

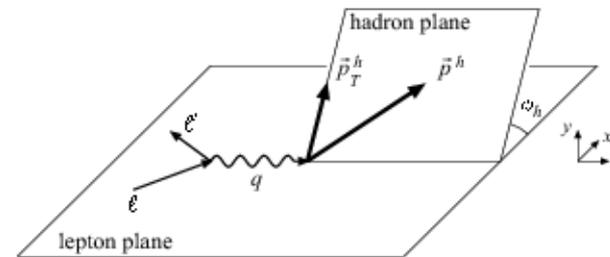
$$\frac{d\sigma}{P_T^h dP_T^h dx dy dz d\phi_h} = \sigma_0 (1 + \epsilon_1 A_{UU}^{\cos\phi_h} \cos\phi_h + \epsilon_2 A_{UU}^{\cos 2\phi_h} \cos 2\phi_h + \lambda \epsilon_3 A_{LU}^{\sin\phi_h} \sin\phi_h)$$

- $A_{UU}^{\cos\phi_h}$, $A_{UU}^{\cos 2\phi_h}$ and $A_{LU}^{\sin\phi_h}$ are ratios of azimuthal angle-dependent structure functions with the unpolarized part of the cross section
- λ is the beam polarization
- ϵ_i are kinematic factors:

$$\epsilon_1 = \frac{2(2-y)\sqrt{1-y}}{1+(1-y)^2},$$

$$\epsilon_2 = \frac{2(1-y)}{1+(1-y)^2},$$

$$\epsilon_3 = \frac{2y\sqrt{1-y}}{1+(1-y)^2}$$



RELEVANCE OF AZIMUTHAL ASYMMETRIES FOR

- THE EXTRACTION OF BOER-MULDERS TMD
- THE EVALUATION OF INTRINSIC QUARK TRANSVERSE MOMENTUM

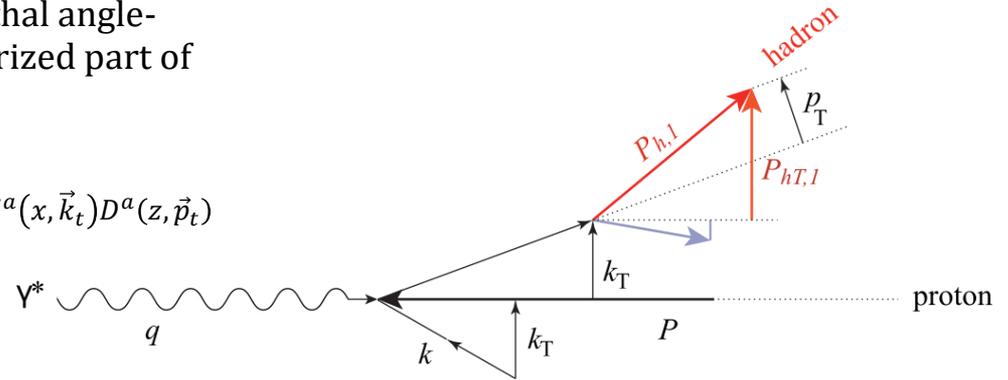
[Anselmino et al. Phys.Rev. D71 (2005) 074006]
 [Barone et al. Phys.Lett. B632 (2006) 277-281]
 [Boglione et al., Phys. Rev. D84 (2011) 034033]

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$$C[wfD] = x \sum_a e_a^2 \int d^2 \vec{k}_t \int d^2 \vec{p}_t \delta^2(\vec{k}_t + \vec{q}_t - \vec{p}_t) w(\vec{k}_t, \vec{p}_t) f^a(x, \vec{k}_t) D^a(z, \vec{p}_t)$$

$$\hat{h} = \vec{P}_{hT} / |\vec{P}_{hT}|$$



Boer-Mulders TMD

$$A_{UU}^{\cos 2\phi_h} = \frac{F_{UU}^{\cos 2\phi_h}}{F_{UU,T} + \epsilon F_{UU,L}} \propto C \left[-\frac{2(\hat{h} \cdot \vec{k}_T)(\hat{h} \cdot \vec{p}_T) - \vec{k}_T \cdot \vec{p}_T}{M M_h} h_1^\perp H_1^\perp \right]$$

$$A_{UU}^{\cos\phi_h} = \frac{F_{UU}^{\cos\phi_h}}{F_{UU,T} + \epsilon F_{UU,L}} \propto \frac{2M}{Q} C \left[-\frac{(\hat{h} \cdot \vec{p}_T) k_T^2}{M^2 M_h} h_1^\perp H_1^\perp - \frac{(\hat{h} \cdot \vec{k}_T)}{M} f_1 D_1 \right]$$

Boer-Mulders TMD

Cahn effect

Overview of previous results

Azimuthal asymmetries measured at COMPASS, HERMES and CLAS in different kinematic ranges:

- At COMPASS with a 160 GeV/c μ^+ beam and solid LiD (deuterated Lithium) target.
- At HERMES with 27 GeV /c e^\pm beam and gaseous hydrogen/deuteron target. PID
- At CLAS, particular attention to $A_{LU}^{\sin \phi_h}$, more coming from CLAS12

[COMPASS Coll., 10.1016/j.nuclphysb.2014.07.019]

[HERMES Coll., 10.1103/PhysRevD.87.012010]

[CLAS Coll., PoS DIS2016 (2016) 215]

Evidence of strong kinematic dependencies, still not well understood.



Possibility to use new COMPASS data to investigate the subject with better statistics and systematics.



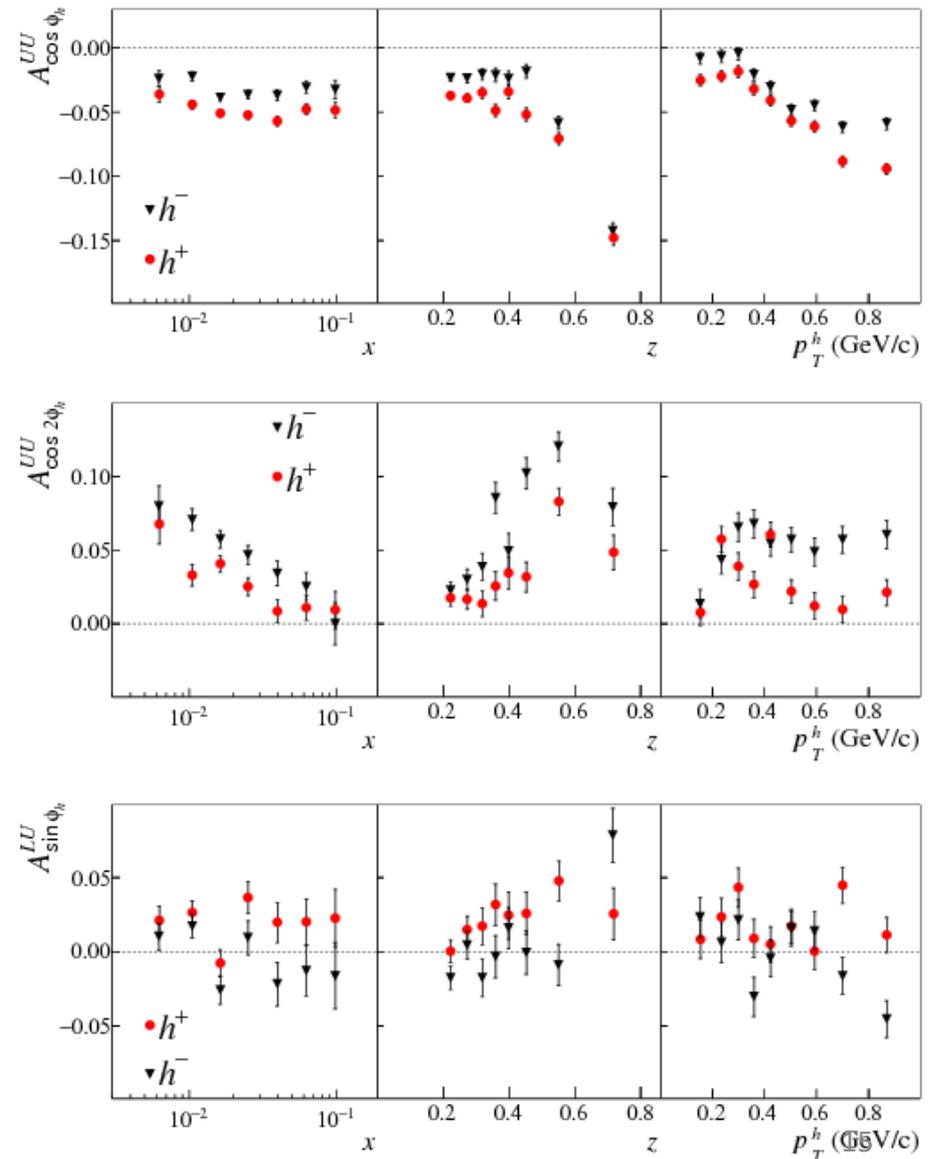
Azimuthal asymmetries from COMPASS data, collected with **deuteron target**, with two approaches:

- **1D analysis**
(separately in bins of x, z, P_T^h)

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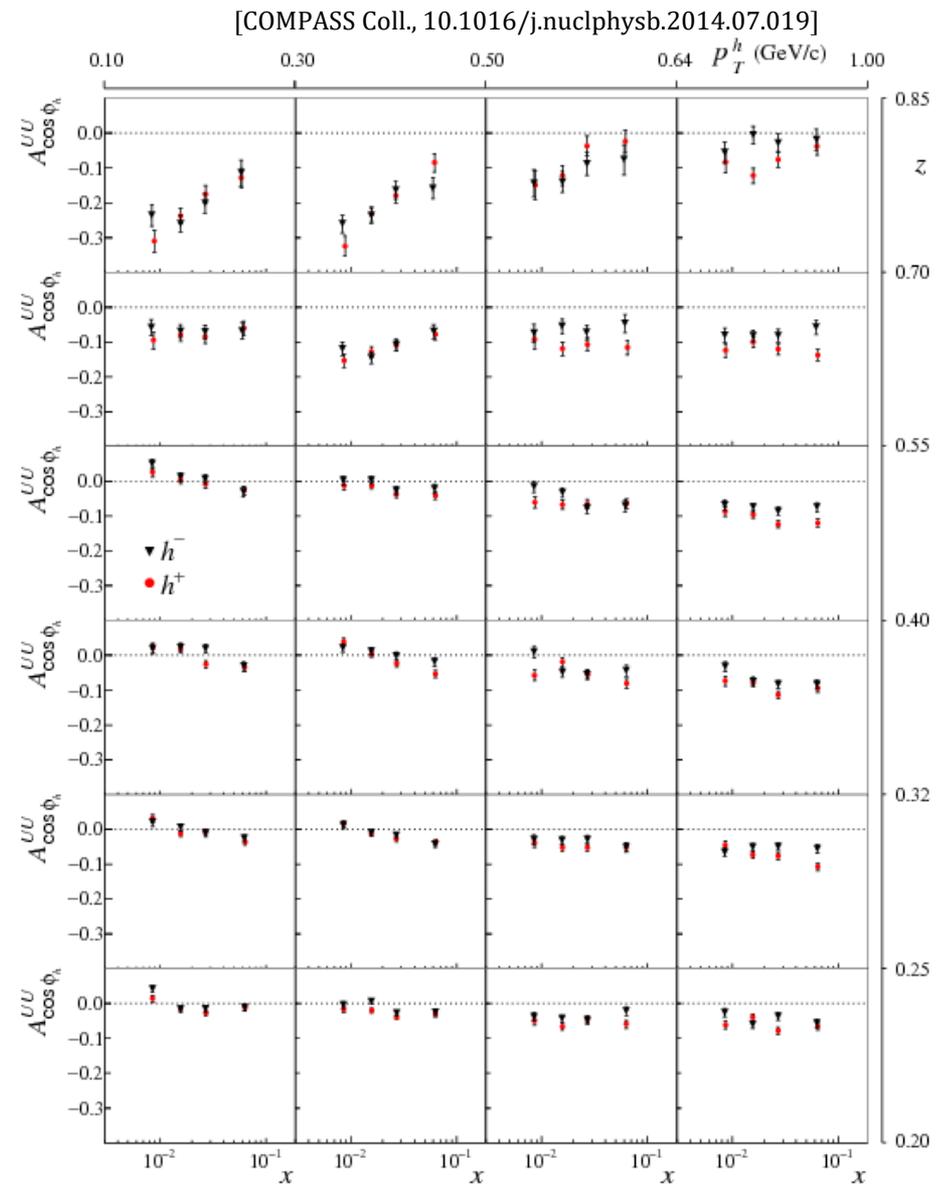


Azimuthal asymmetries from COMPASS data, collected with **deuteron target**, with two approaches:

- **1D analysis**
(separately in bins of x , z , P_T^h)
- **3D analysis**
(simultaneously binning the three variables).

Here **$\cos \phi_h$** , but also $\cos 2\phi_h$ and $\sin \phi_h$ asymmetries have been measured.

Remarkable kinematic dependencies (e.g. $\cos \phi_h$ at large z) still not well explained.



A look at new COMPASS data

Here: Analysis of part of 2016 (1 period out of 12+9) with the same procedure as old analysis.

DIS events selection:

- $Q^2 > 1 \text{ (GeV/c)}^2$
- $W > 5 \text{ (GeV/c}^2)$
- $0.2 < y < 0.9$
- $0.003 < x < 0.130 \rightarrow 7 \text{ bins}$

Hadron selection:

- $0.2 < z < 0.85 \rightarrow 8 \text{ bins}$
- $0.1 \text{ (GeV/c)} < P_T^h < 1.0 \text{ (GeV/c)} \rightarrow 9 \text{ bins}$

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Hadrons in the considered period: (approx.)

	μ^+ beam	μ^- beam
h^+	269 000	254 000
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h^+/h^-	1.24	1.27

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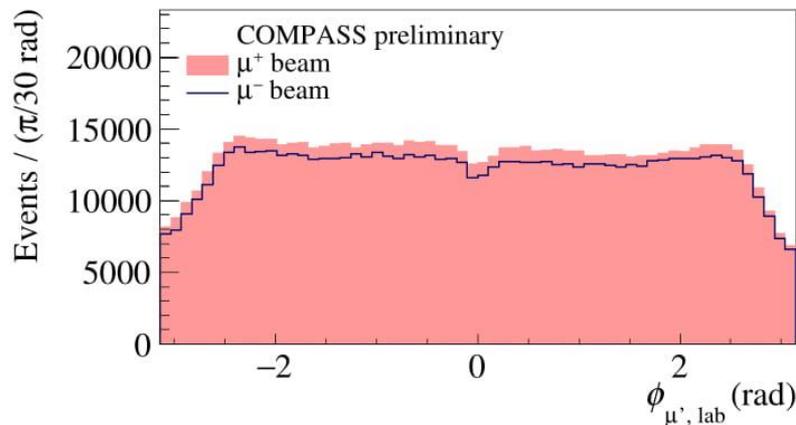
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Remarkably good acceptance in $\phi_{\mu'}^{lab}$.

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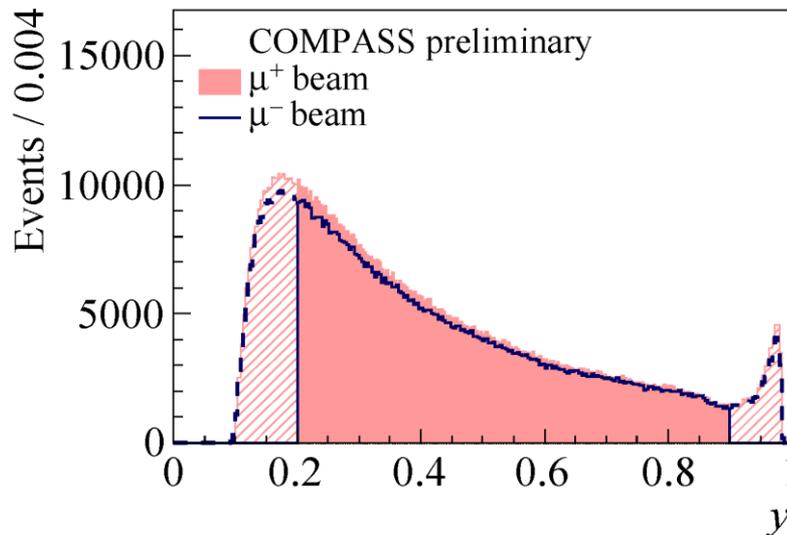
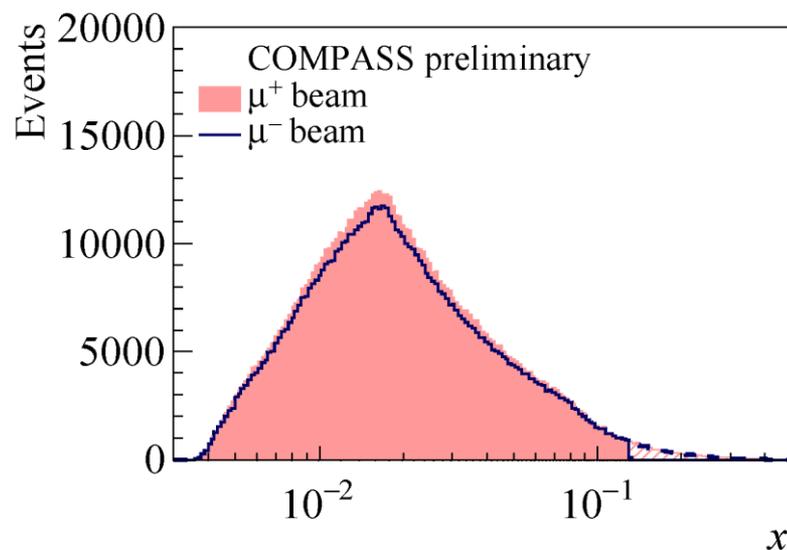
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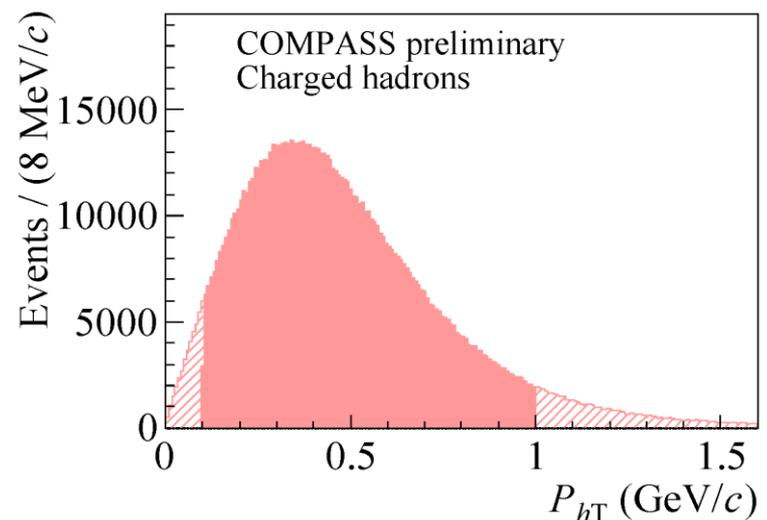
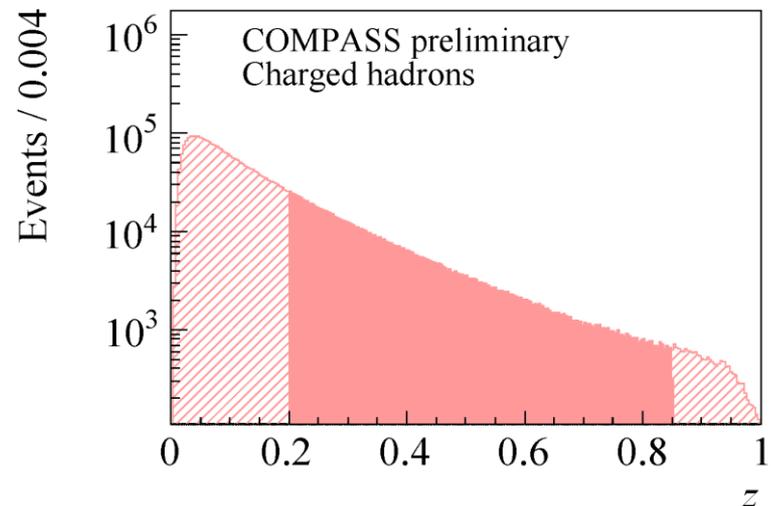
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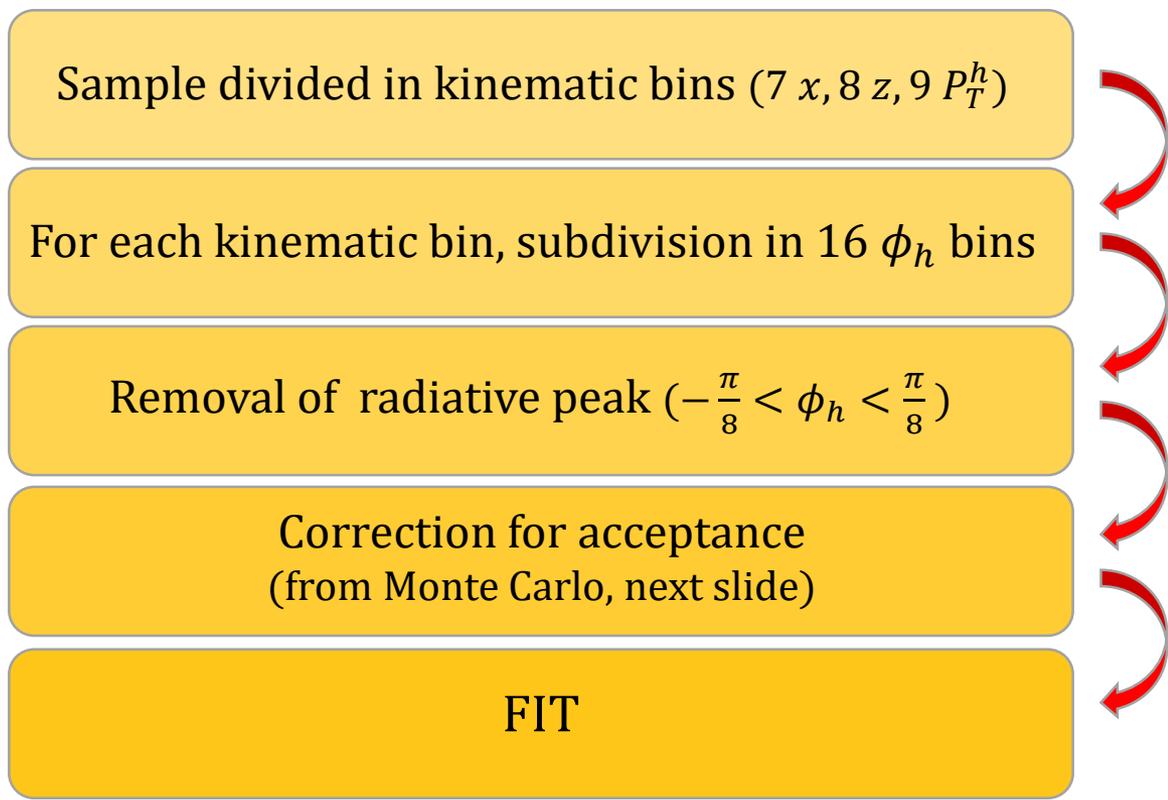
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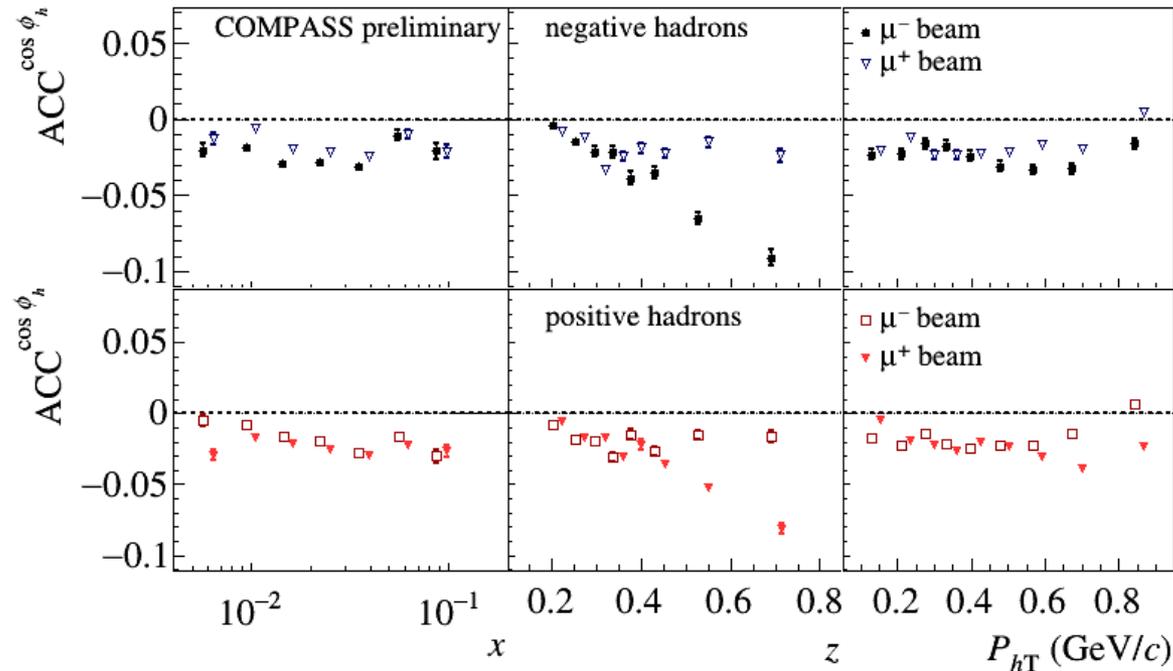
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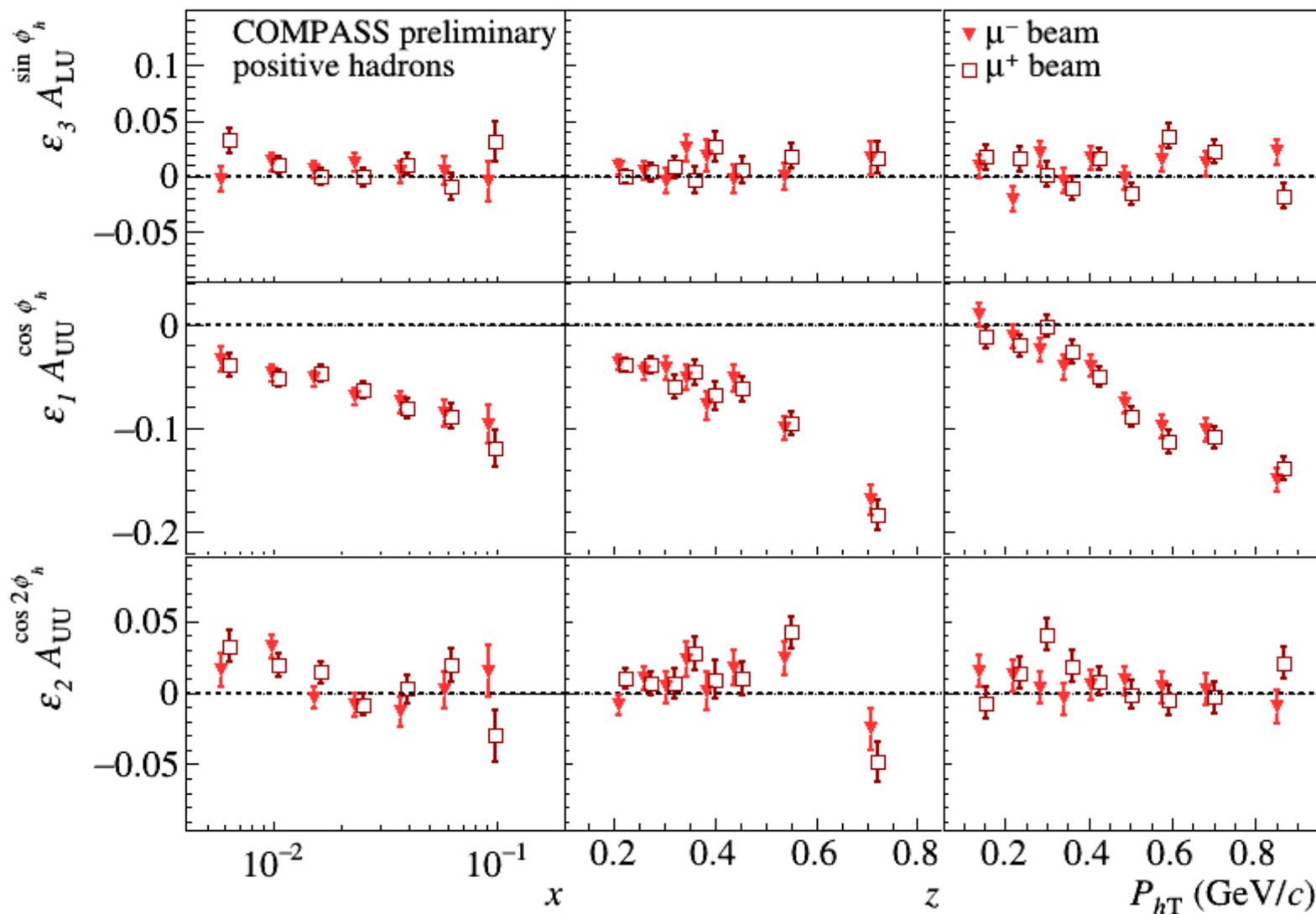
Procedure applied for the $\mu^+ - \mu^-$ subperiods and for positive and negative hadrons separately :



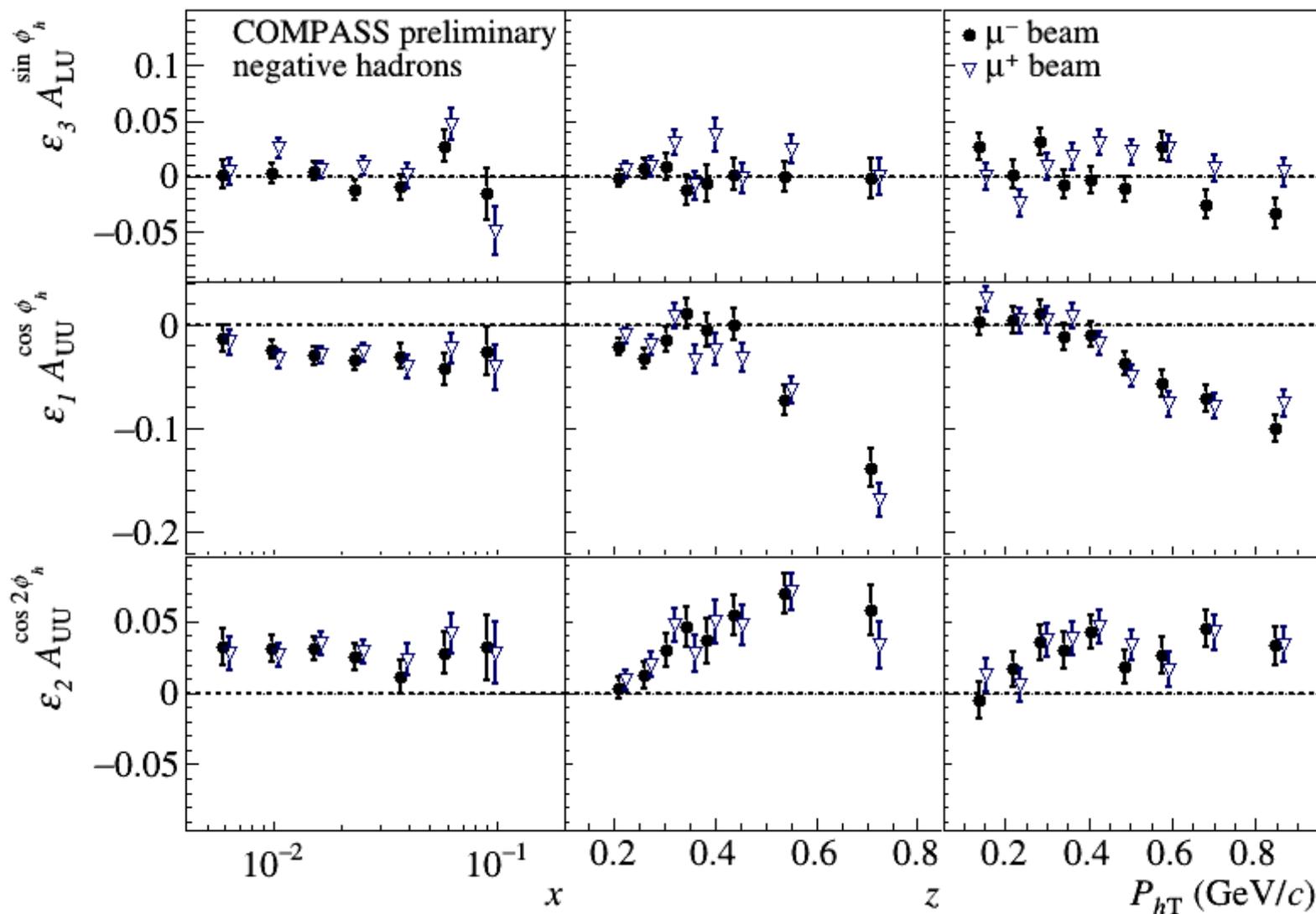
- Acceptance of the apparatus calculated with a Monte Carlo simulation tailored on the considered period
- LEPTO used as a generator
- Acceptance modulations very small (generally about 2%, always smaller than 10%)
- Effect for the modulation of acceptance in $\cos \phi_h$: mirror symmetry for h^+ and h^- with μ^+ and μ^- beams (and remarkable compatibility of corresponding asymmetries, see next slides)
- Effect at high z (hole in the hadron absorber)



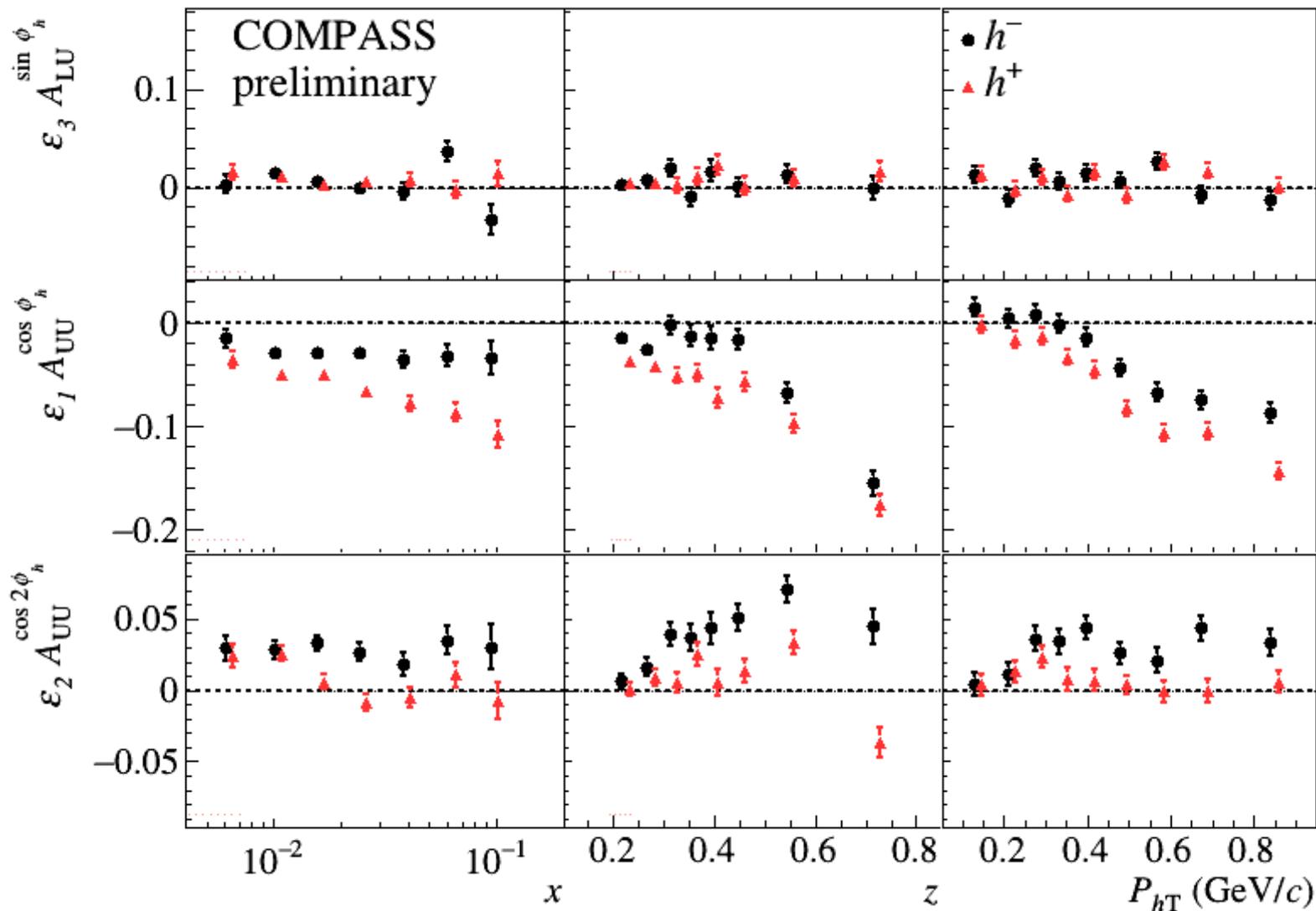
Results – positive hadrons



Results – negative hadrons

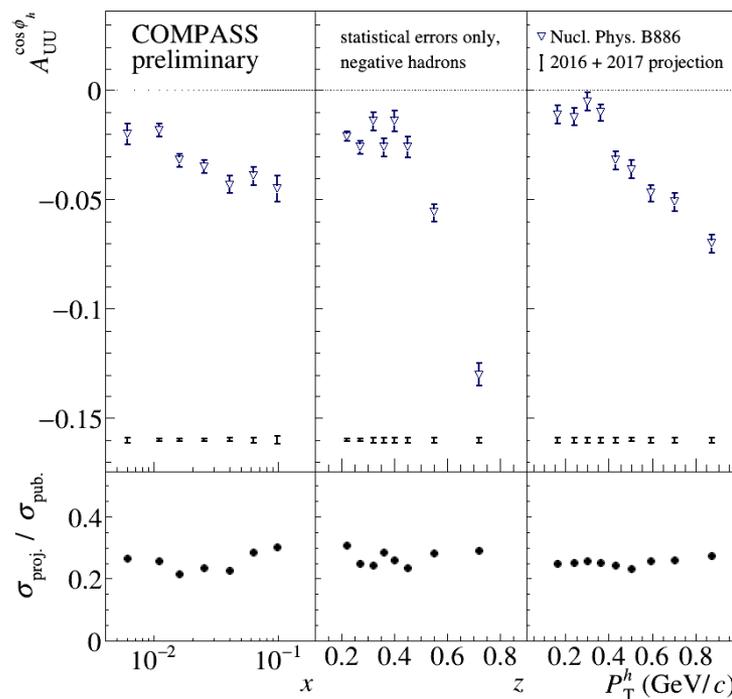
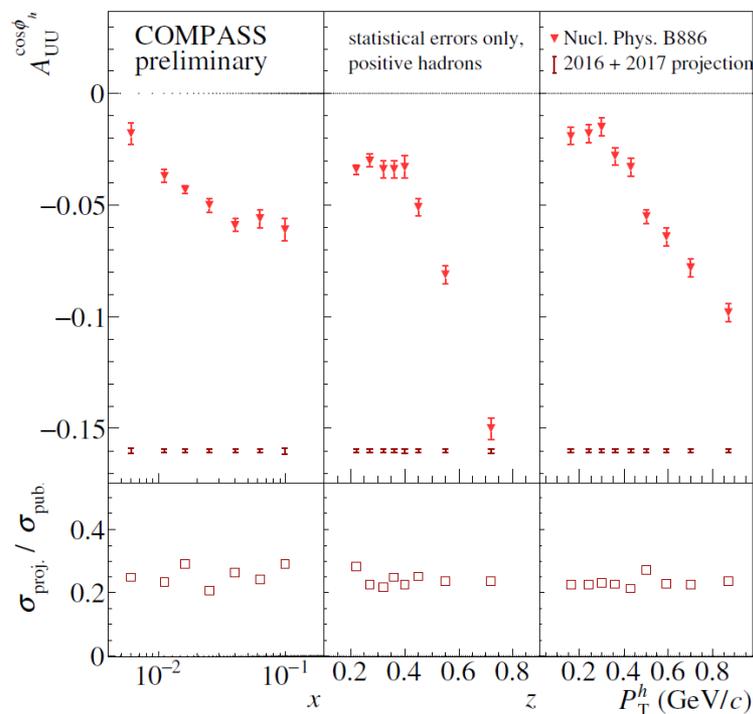


Results – combination of μ^+ and μ^- beams



- The amount of data considered in this analysis correspond to $\sim 4\%$ of the available statistics.
- The estimated reduction in the statistical error is a **factor 5**, almost flat at 0.25.
- Systematic uncertainties will be much smaller than for the published COMPASS deuteron data.

COMPARISON WITH PREVIOUS RESULTS ratio of estimated error / published



Conclusions and perspectives

The azimuthal asymmetries in SIDIS are being studied at COMPASS on unpolarized proton.

TWO MAIN MESSAGES

1. The strong kinematic dependencies of the asymmetries are confirmed
2. Considering the whole 2016+2017 sample,
 - the statistical error will be strongly reduced;
 - the systematic error is expected to be smaller than in the past.

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PERSPECTIVES

- Possibly extend the kinematic range (keeping acceptance correction below 10%)
- Extend from 1D analysis to 3D in x , z and P_T^h (but other variables can be used as well)
- PID to allow flavor separation
- Other measurements: multiplicities (z , P_T^h but also q_T), y vs W ...
- ... And much more... → see A. Kerbizi's talk

thank you