



*Search for the associated
production of the Higgs boson
with a top quark pair at the
ATLAS experiment*

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Presented analyses

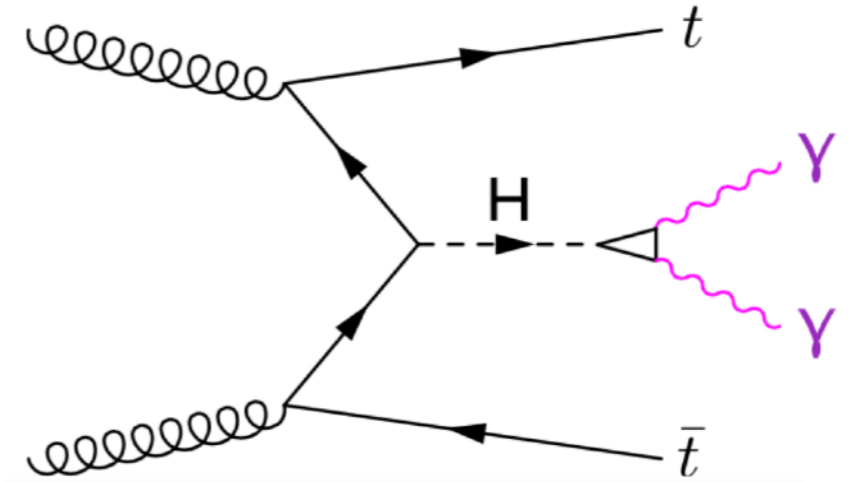


$t\bar{t}H(\gamma\gamma)$

BR ~ 0.23%

2 channels, depending on the $t\bar{t}$ system decay:
all-hadronic and (semi)leptonic

(covered in $H \rightarrow \gamma\gamma$)

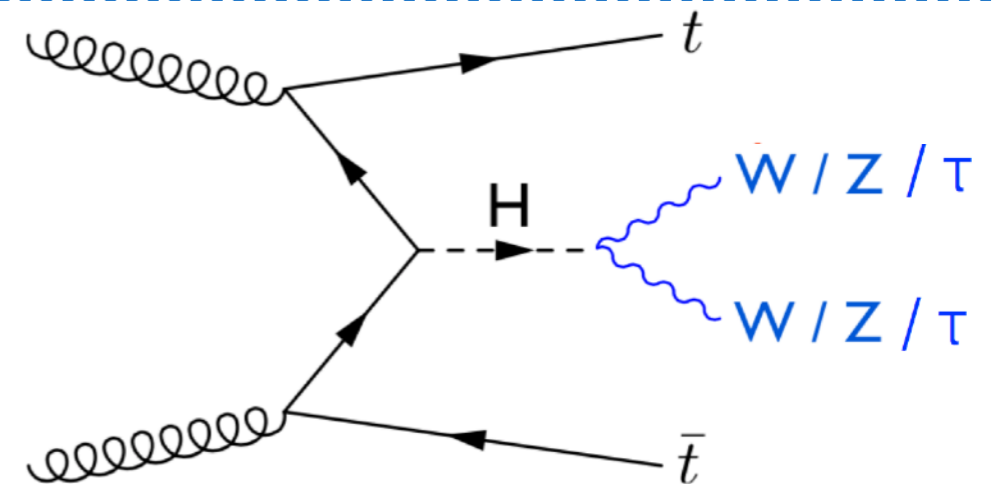


$t\bar{t}H(WW/ZZ/\tau\tau)$

BR ~ 30%

4 sub-channels, depending on the number, sign and flavour of leptons:

$2lSS+0\tau_{had}$, $2lSS+1\tau_{had}$, $3l$, $4l$



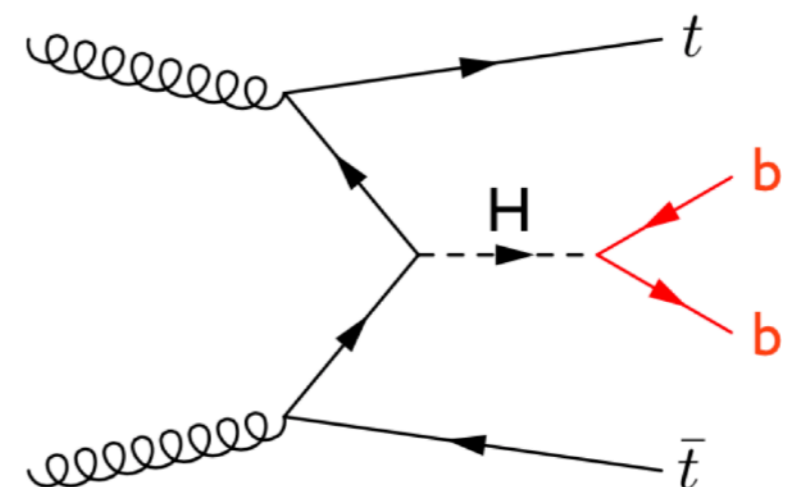
$t\bar{t}H(bb)$

BR ~ 58%

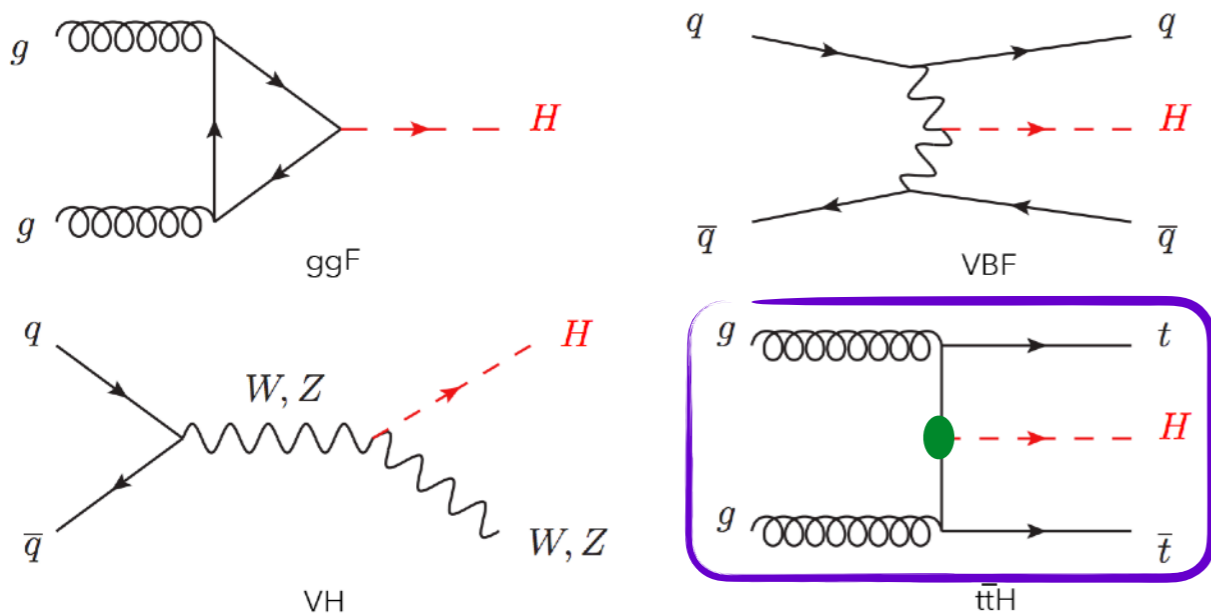
2 channels, depending on the $t\bar{t}$ system decay:

single-lepton - 6 control regions + 3 signal regions
(defined by the jets and b-jets multiplicity)

dilepton - control regions + 2 signal regions

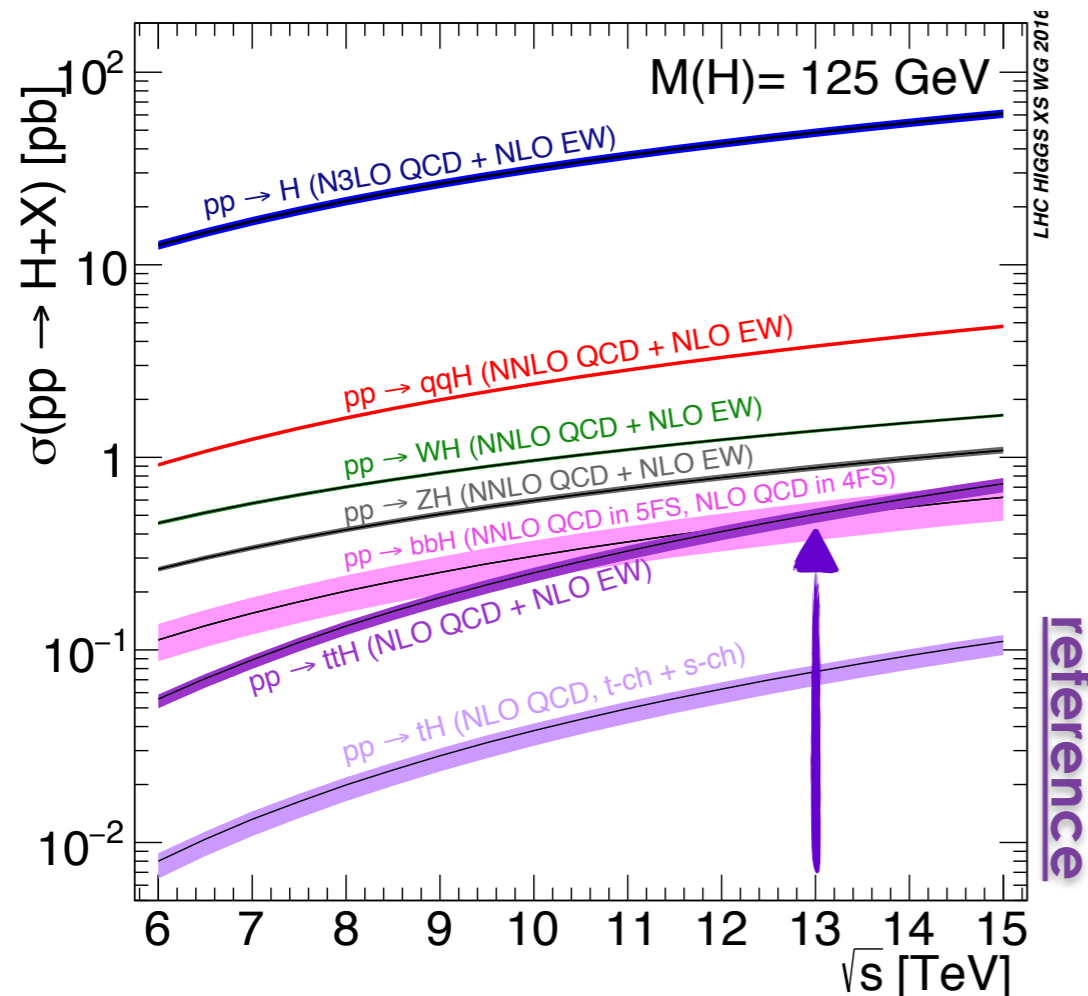


The associated Higgs production



Some motivations

- **indirect constraints** on the Top-Higgs Yukawa coupling from **ggF and $H \rightarrow \gamma\gamma$** (through a loop);
- $t\bar{t}H$ production allows **direct access to Top-Higgs Yukawa coupling**;
- the **highest cross section increase as a function of energy** wrt other production modes;
- any deviation in the cross-section measurements could be an **hint of new physics!**



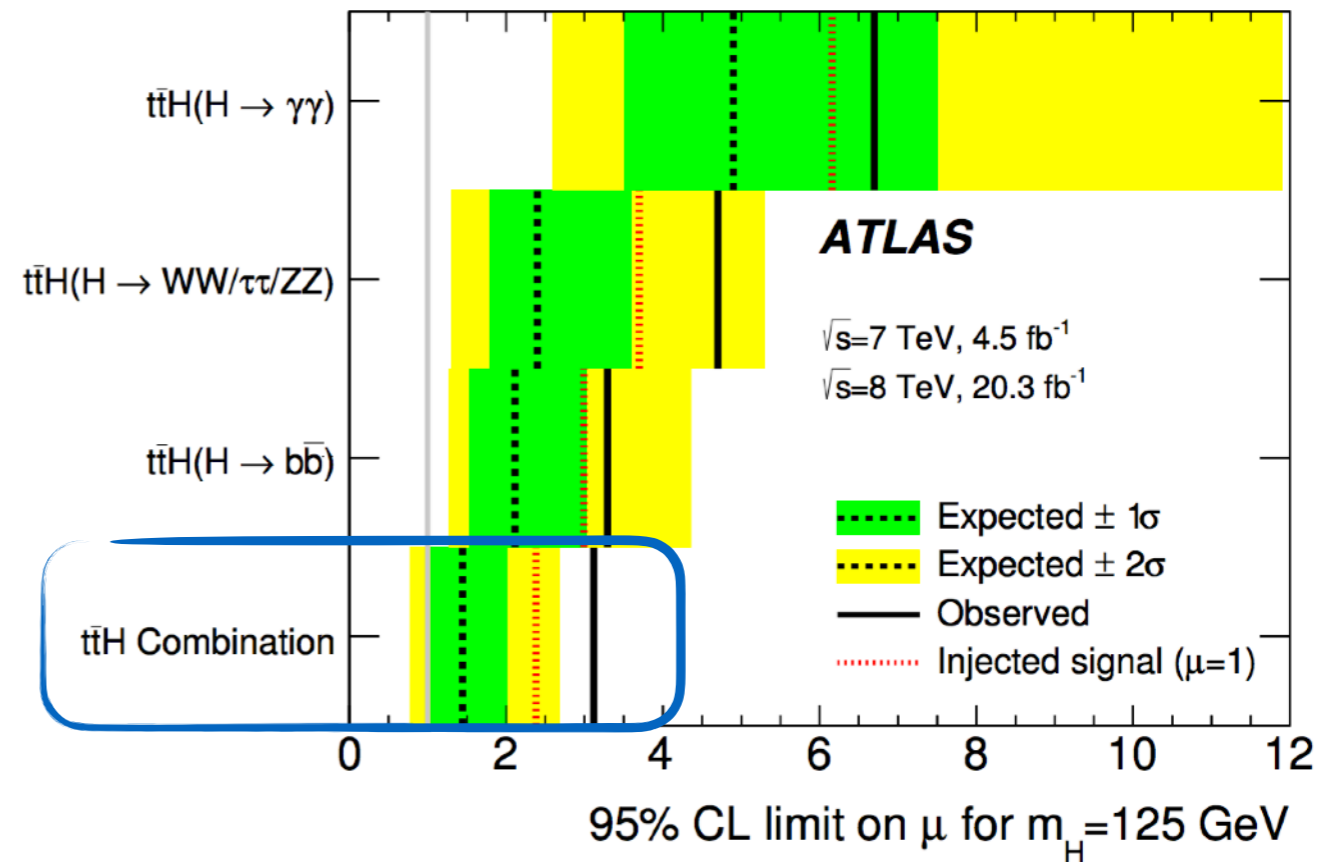
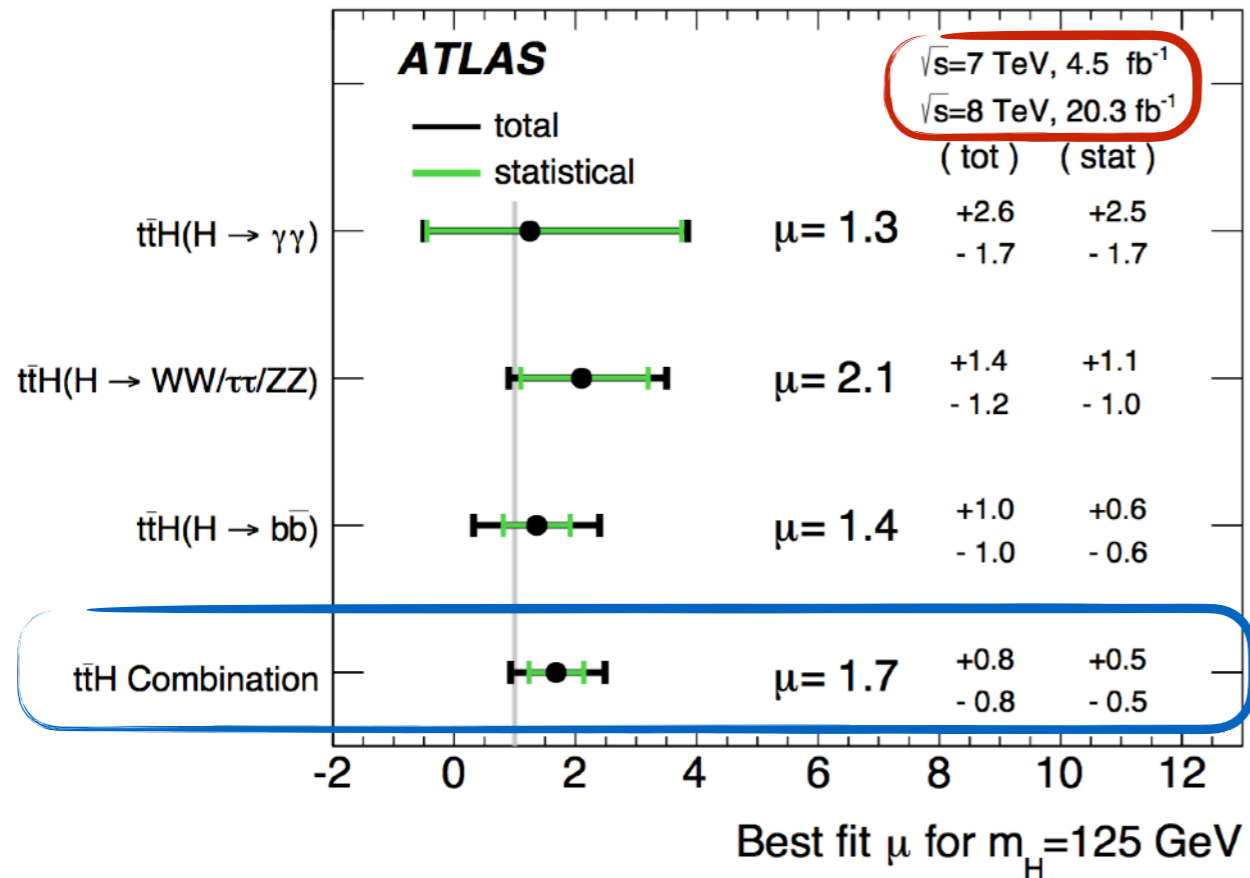
$\sigma(pp) \sim 10^{11}$ pb
 $\sigma(pp \rightarrow H+X) \sim 45$ pb
 $\sigma(pp \rightarrow t\bar{t}H) \sim 0.5$ pb

@13 TeV

Run-1 results



JHEP05(2016)160



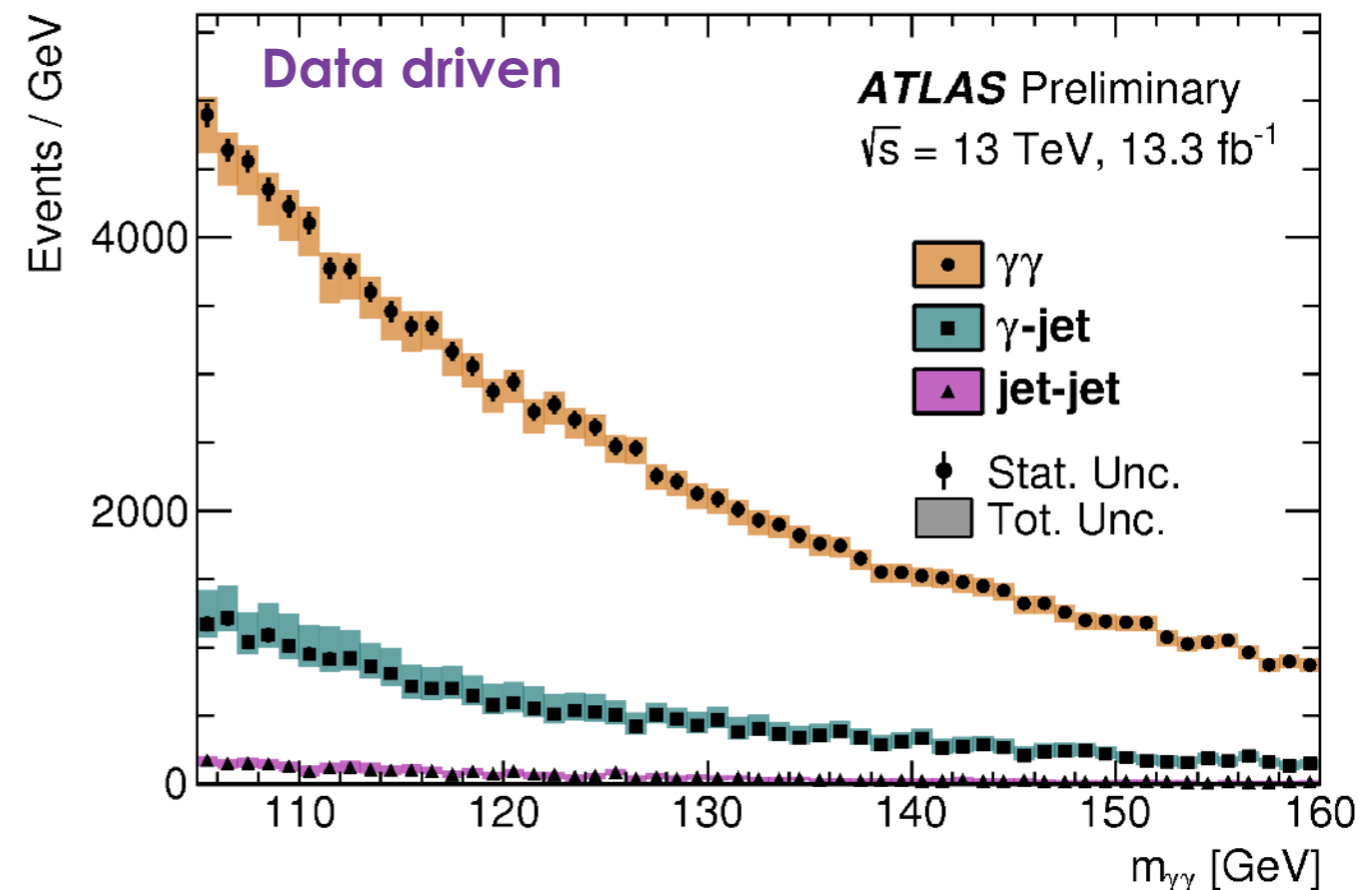
- Many channels sensitive to different final states, depending on the Higgs decay modes: $\gamma\gamma$, $WW/ZZ/\tau\tau$ (multi-lepton) and $b\bar{b}$;
- a signal strength $\mu = 1.7 \pm 0.8$ has been measured;
- this corresponds to an **observed (expected) significance 2.3σ (1.5σ)**;
- **observed (expected) 95% C.L. limit on μ is 3.1 (1.4)**.

$ttH(\gamma\gamma)$

BR ~ 0.23%

ATLAS-CONF-2016-067

- **Clear resonance peak** and low background;
- narrow peak in the di-photon invariant mass spectrum on top of a **smoothly falling background** in the $m_{\gamma\gamma}$ **distribution**;
- due to the narrow width of the Higgs boson, the shape of the distribution is governed by the **resolution of the measured photon energies**.
- To reject hadronic jet backgrounds, the **photon** candidates are required to be **isolated from any other activity in the calorimeter and the tracking detectors**;
- background estimation in **3 control regions**;
- reversing the isolation requirements of the photons.

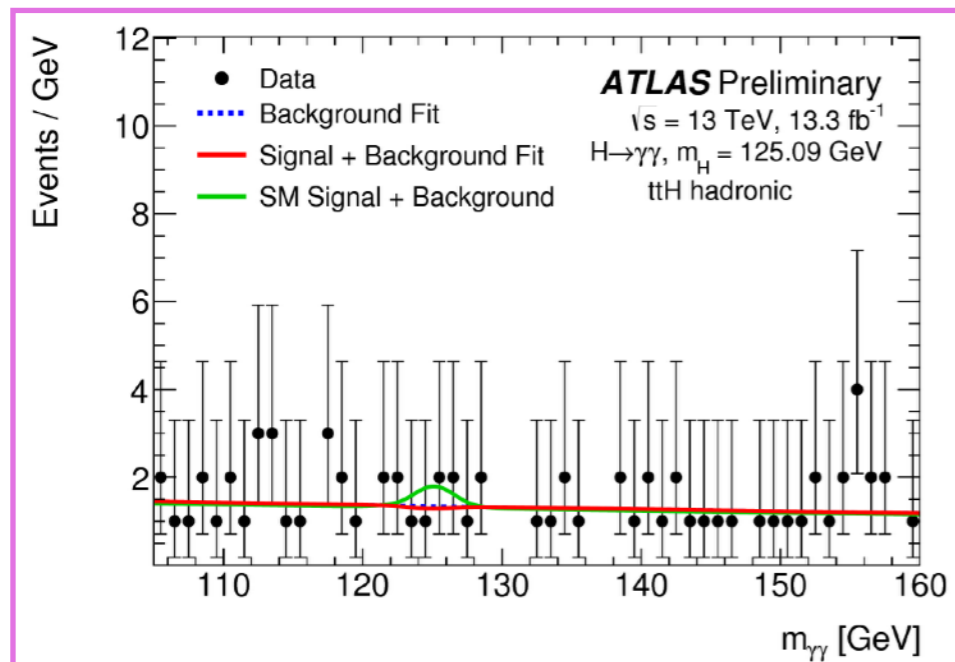
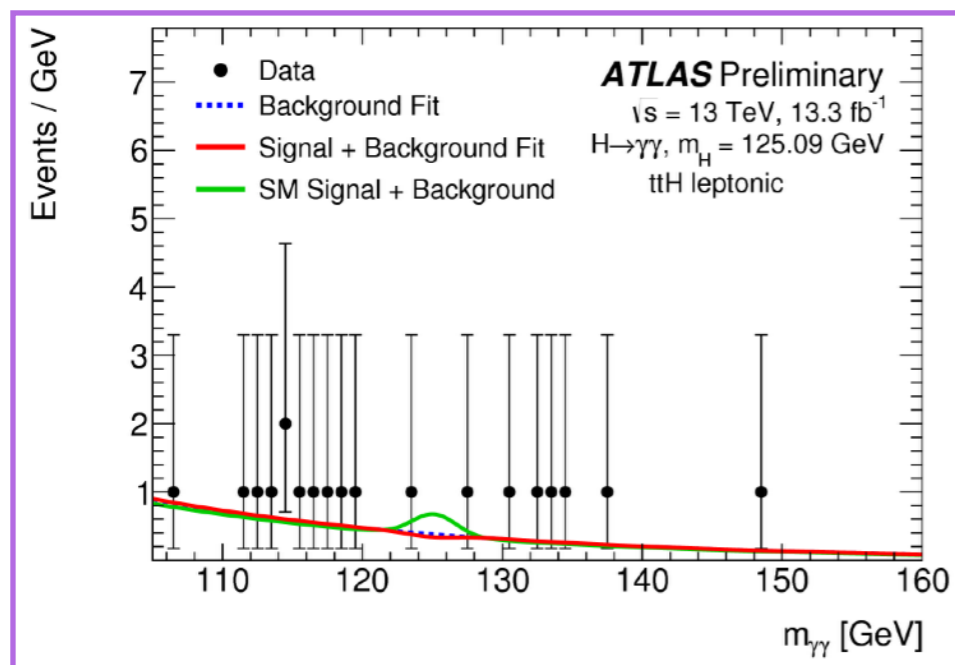


ttH ($\gamma\gamma$)

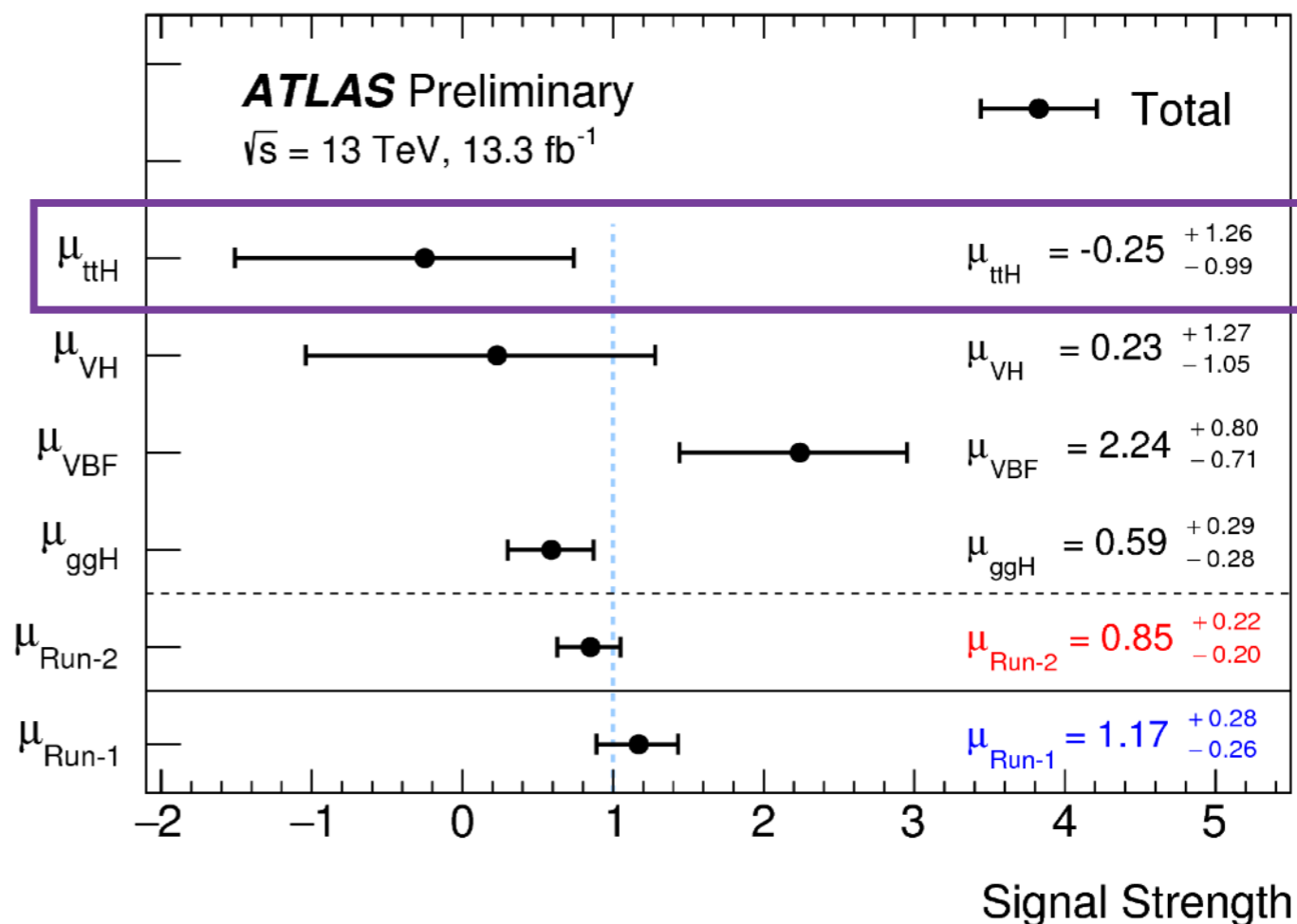
2 signal regions:

ATLAS-CONF-2016-067

- **leptonic**: 2 isolated γ , ≥ 1 lepton, ≥ 2 jets, ≥ 2 b-jets or ≥ 1 b-jet AND $E_T^{\text{miss}} > 20$ GeV
- **hadronic**: 2 isolated γ , 0 leptons, ≥ 5 jets, ≥ 1 b-jet.



- Event selected and categorised in **regions enriched with different Higgs production mode processes**;
 - **combined fit** performed to the categories to determine the signal strengths.
- 13.3 fb⁻¹ @ 13 TeV**



$t\bar{t}H(WW/ZZ/\tau\tau)$



BR ~ 30%

ATLAS-CONF-2016-058

- **Cut-based** analysis;
- several regions depending on the **multiplicity and flavour of leptons in the final state**;
- ensuring a very small background contribution but difficult to estimate due to sensitivity to additional **$t\bar{t}W/Z$ (hard to control with data)**.

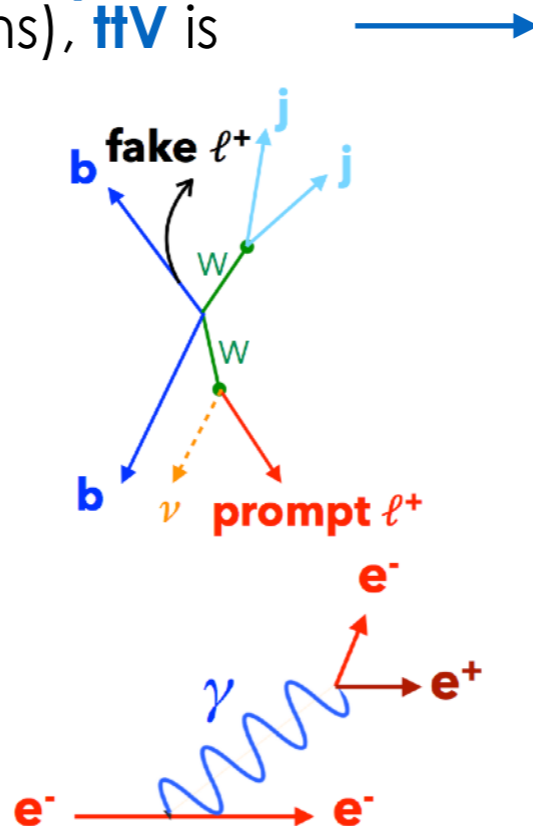
- Irreducible backgrounds: **prompt leptons** (decaying from boson or τ leptons), **$t\bar{t}V$** is the main contribution;

- processes with one **non-prompt lepton and fake τ** : mainly from hadrons decay from $t\bar{t}$ events;

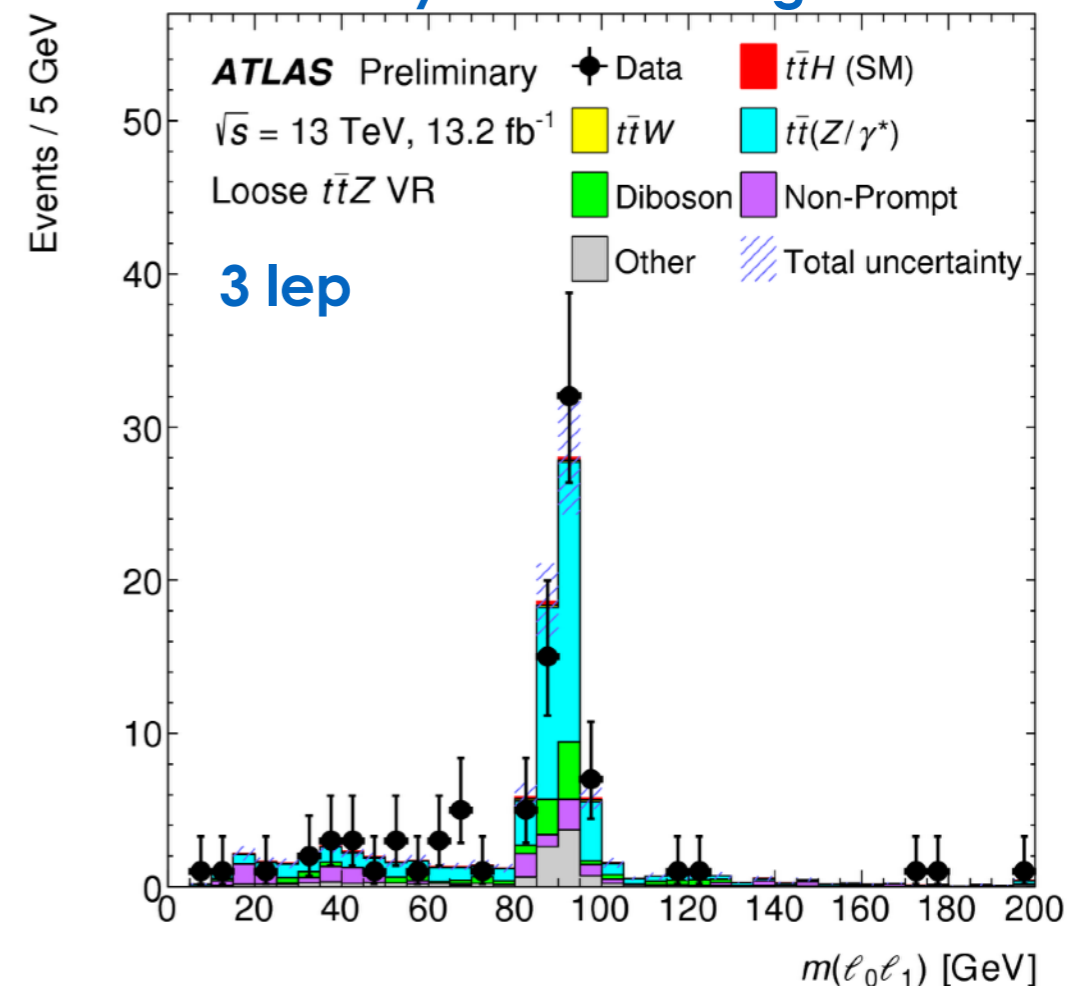
Data driven

- processes with a **misidentified charged lepton** (especially $2l+1\tau$ and $2l+0\tau$ with electrons).

Data driven



3 Validation Regions (VR) in order to study the $t\bar{t}V$ background



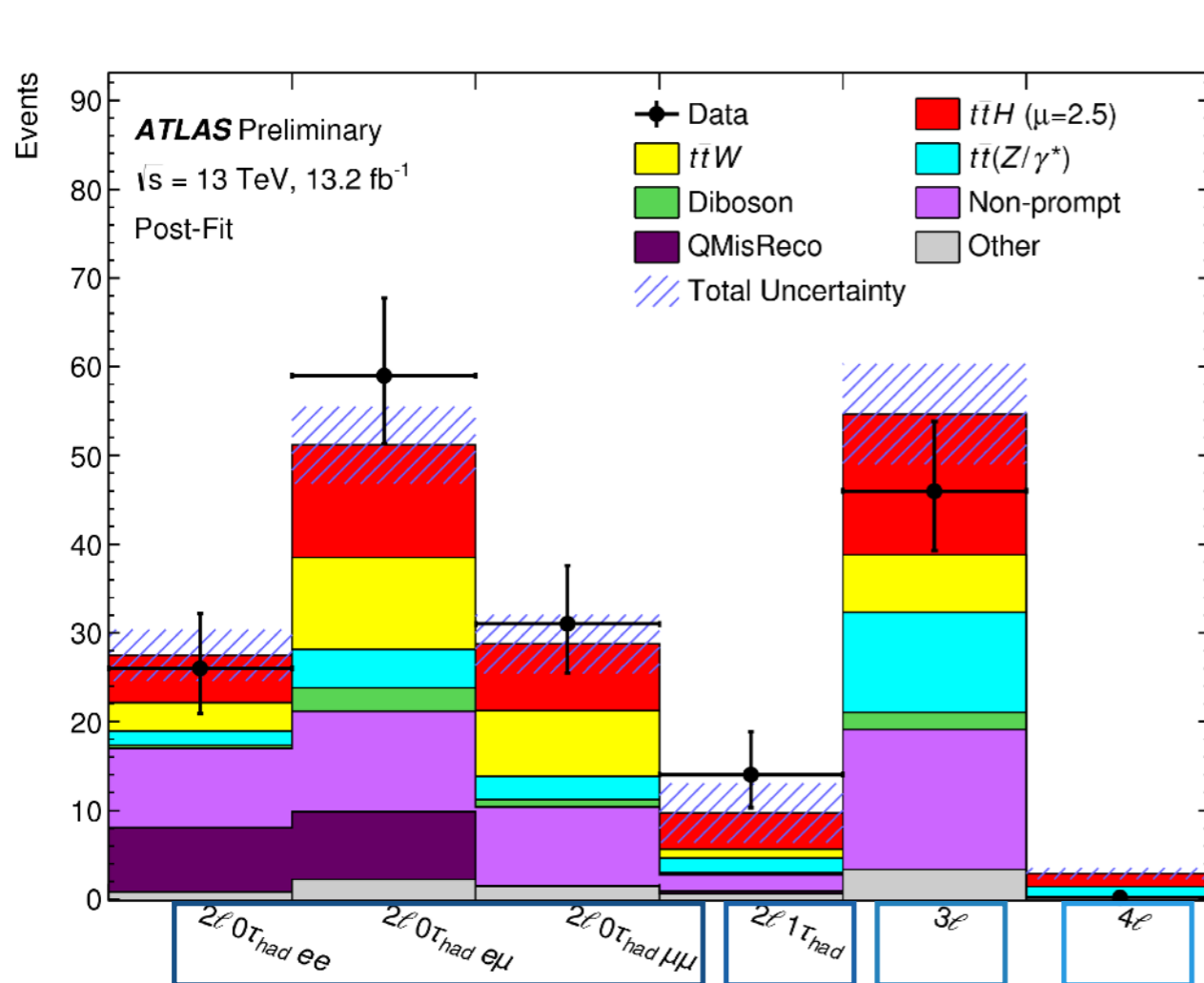
$ttH(WW/ZZ/\tau\tau)$



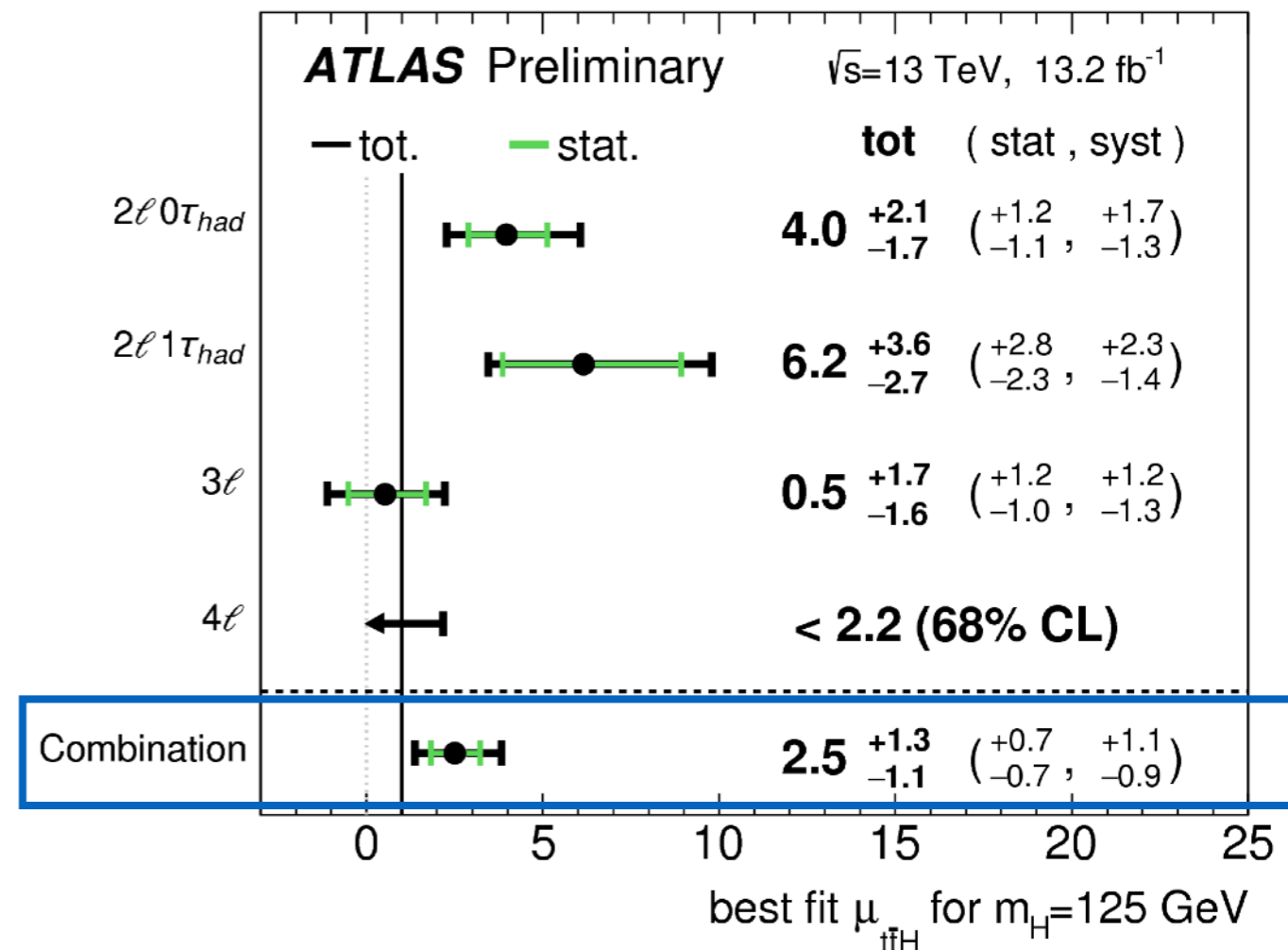
ATLAS-CONF-2016-058

4 signal regions:

- **2l0 τ** : 2 tight same-sign leptons, 0 τ , ≥ 5 jets, ≥ 1 b-jet;
- **2l1 τ** : 2 tight same-sign leptons, 1 τ (opposite to leptons), ≥ 4 jets, ≥ 1 b-jet;
- **3l**: 3 no same-sign leptons, ≥ 4 jets and ≥ 1 b-jet or = 3 jets and ≥ 2 b-jets;
- **4l**: 4 leptons (sum of charges = 0), ≥ 2 jets, ≥ 1 b-jet;



13.2 fb⁻¹ @ 13 TeV



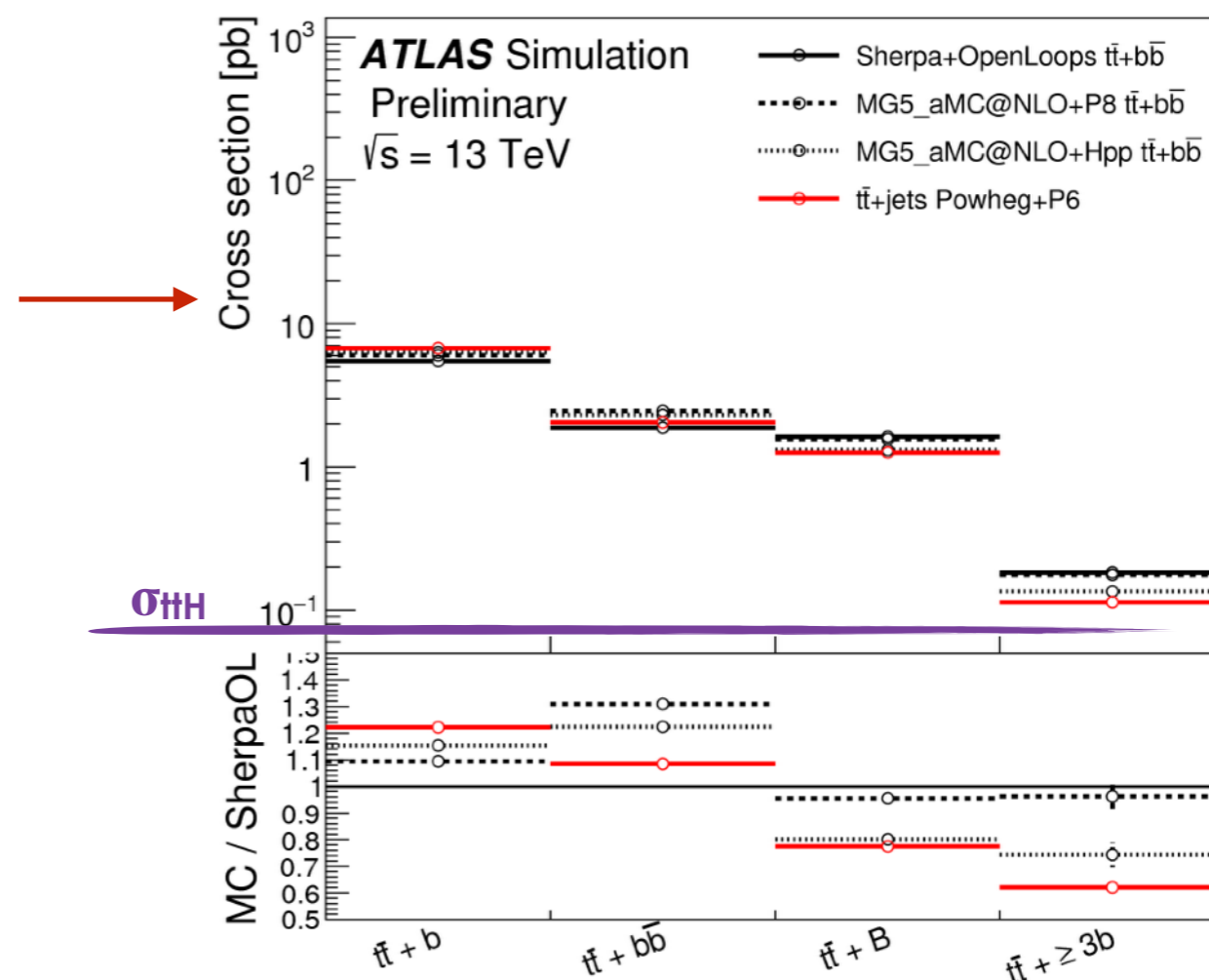
ttH(bb)

BR ~ 58%

ATLAS-CONF-2016-080

- High multiplicity of control and signal regions, depending on the **multiplicity of jets and b-jets**;
- **MultiVariate Analysis** in order to increase the significance and the separation between signal and background;
- most abundant Higgs decay, but **overwhelmed by tt(+HF) jets background** and less easy bb reconstruction.

- Main background: tt+HF, in which the **tt+b-jets show a significant mis-modelling**;
- estimation of the mis-modelling relative to the **generator choice and the PS & hadronization components**;
- **reweighting** is necessary to correct the mis-modelling.

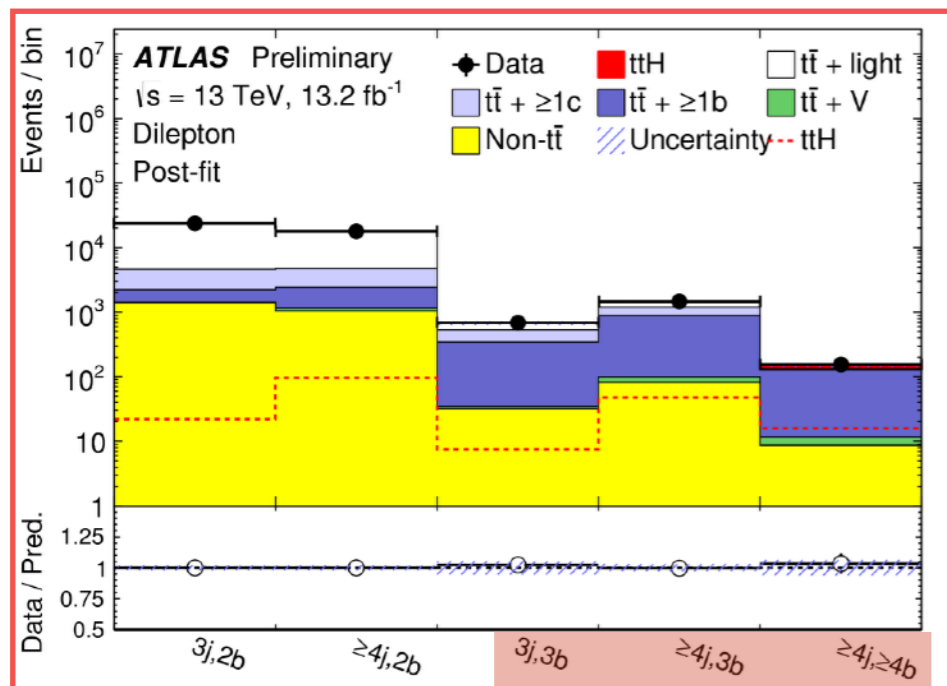
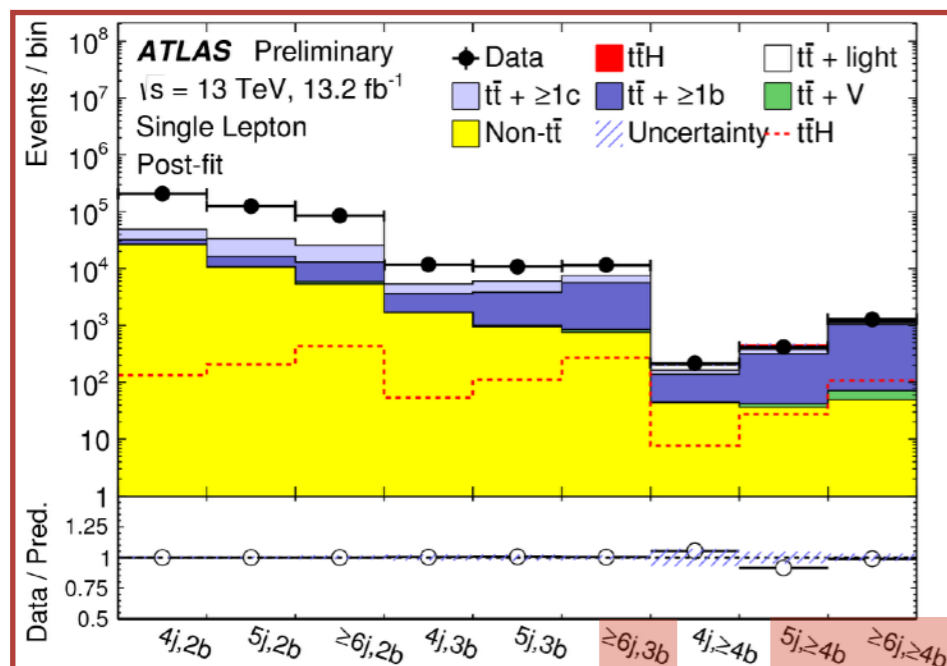


ttH(bb)

2 channels:

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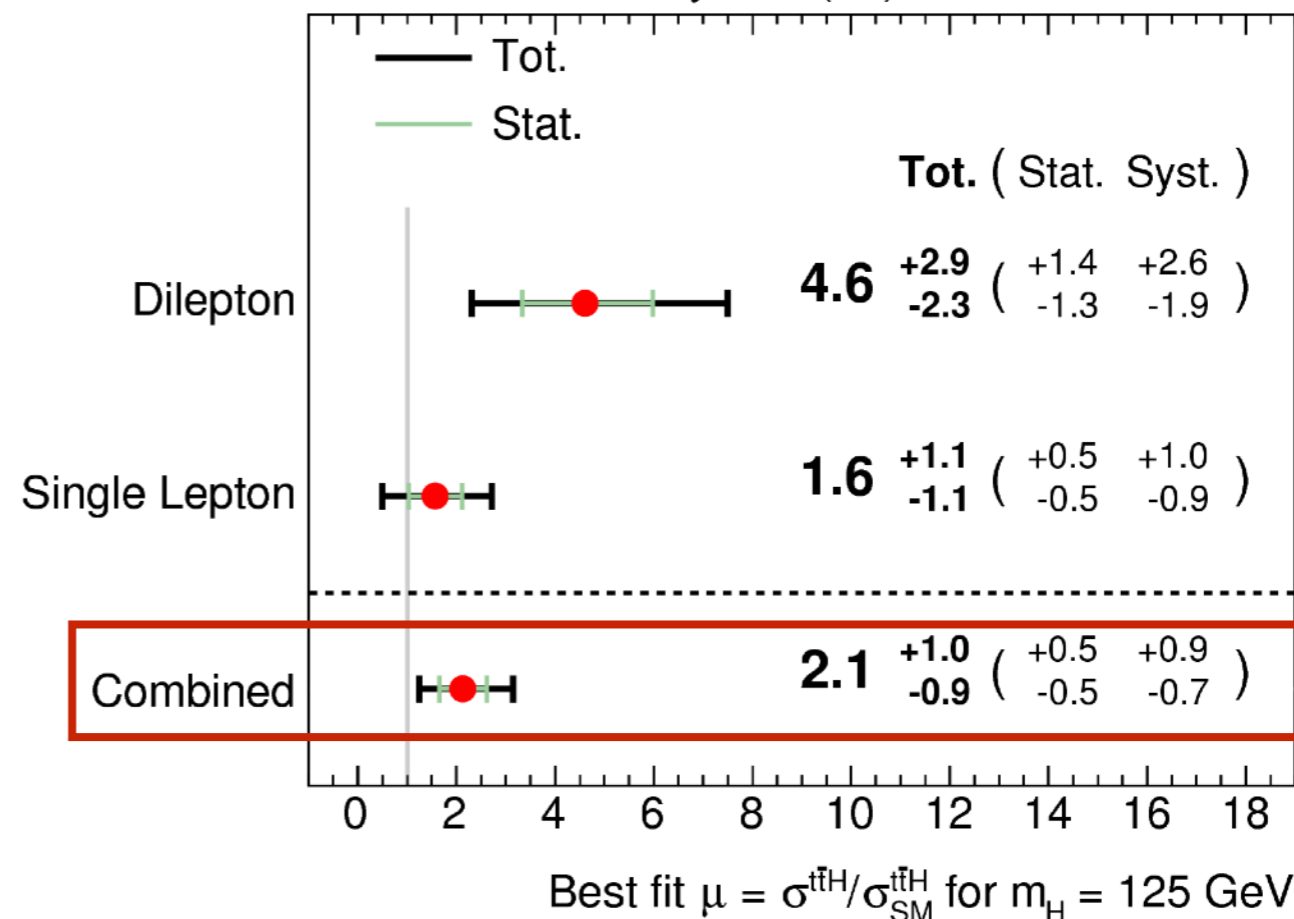
- **single-lepton**: 1 lepton, ≥ 3 jets, ≥ 2 b-jets \rightarrow 6 control regions + 3 signal regions;
- **dilepton**: 2 leptons, ≥ 3 jets, ≥ 2 b-jets \rightarrow 2 control regions + 3 signal regions.



- **discriminant** distributions in CRs and SRs;
- **combined fit** performed to all the regions to determine the signal strengths.

13.2 fb⁻¹ @ 13 TeV

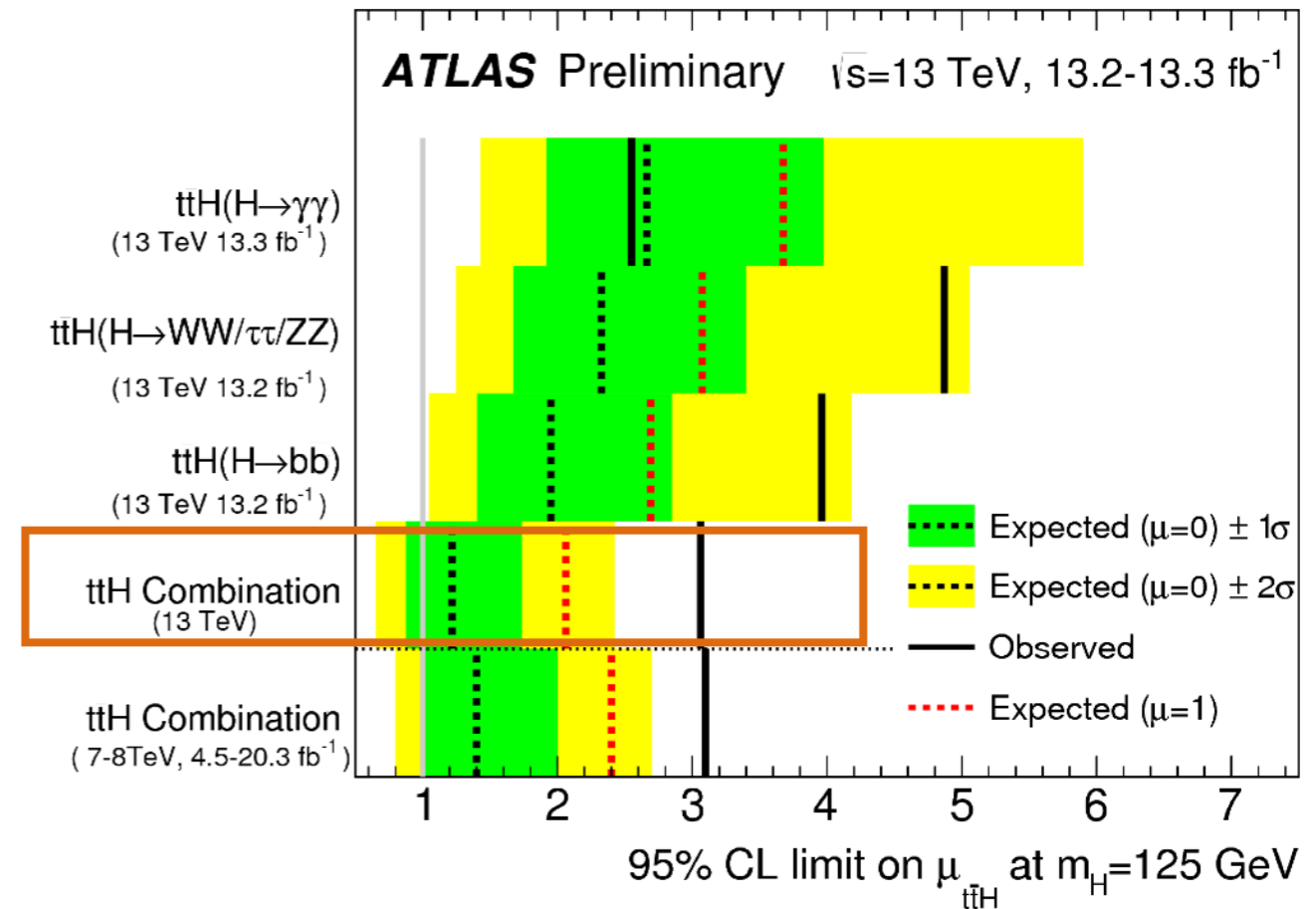
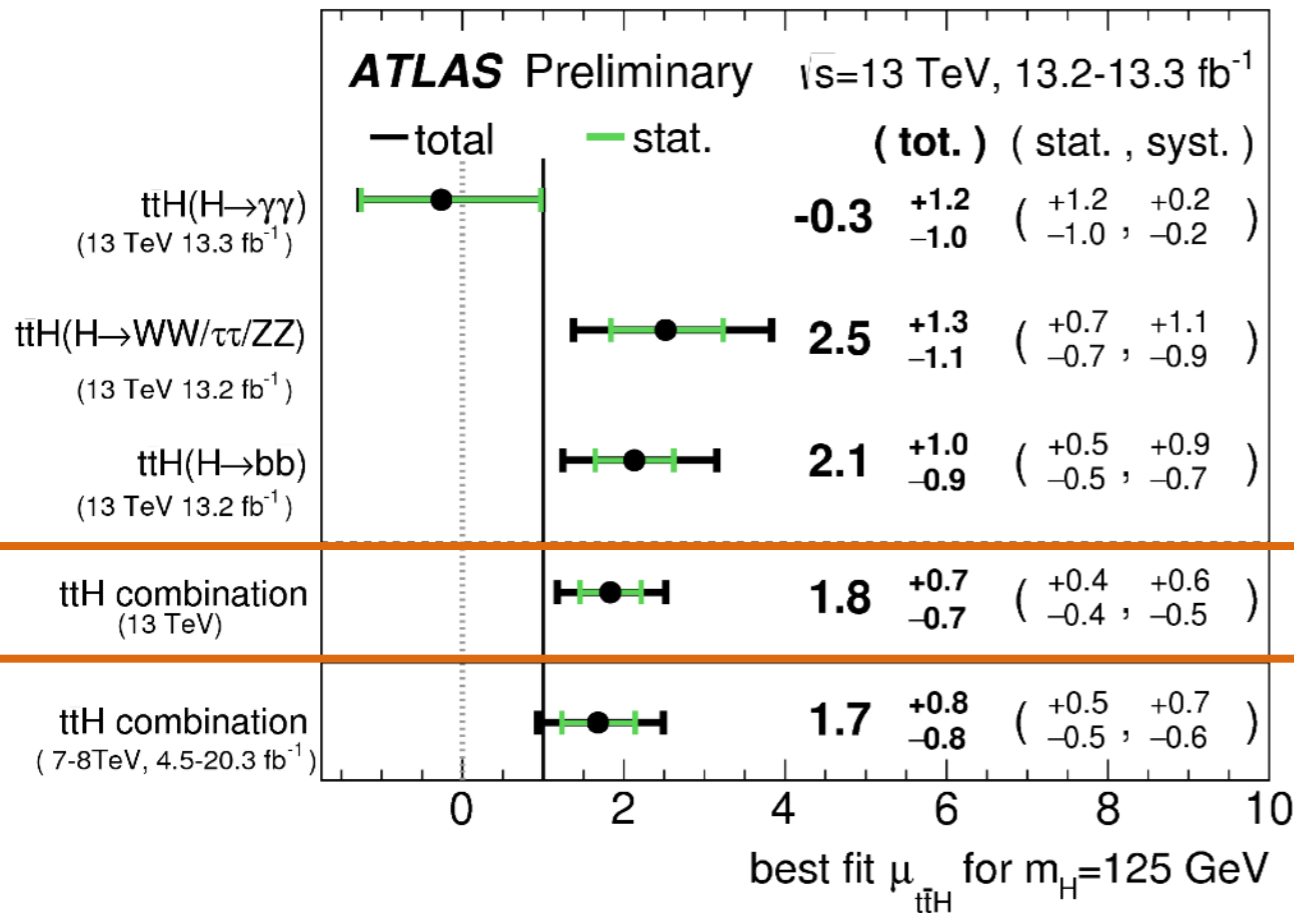
ATLAS Preliminary ttH (bb), $\sqrt{s} = 13 \text{ TeV}, 13.2 \text{ fb}^{-1}$



Combination and signal strength



ATLAS-CONF-2016-068



- A signal strength $\mu = 1.8 \pm 0.7$ has been measured;
- this corresponds to an **observed (expected) significance 2.8 σ (1.8 σ)**;
- **observed (expected) 95% C.L. limit on μ is 3.0 (2.1)**.

NB!

- The largest impact in the uncertainty comes from ttH(bb) channel;
- dominated by tt+b/c jets background.

Changes after the publication



$t\bar{t}H(\gamma\gamma)$

- **MVA** technique to get a better separation from QCD.

$t\bar{t}H(WW/ZZ/\tau\tau)$

- **MVA** techniques included in the analysis;
- **different division** of phase space in channels.

WORK IN PROGRESS!!

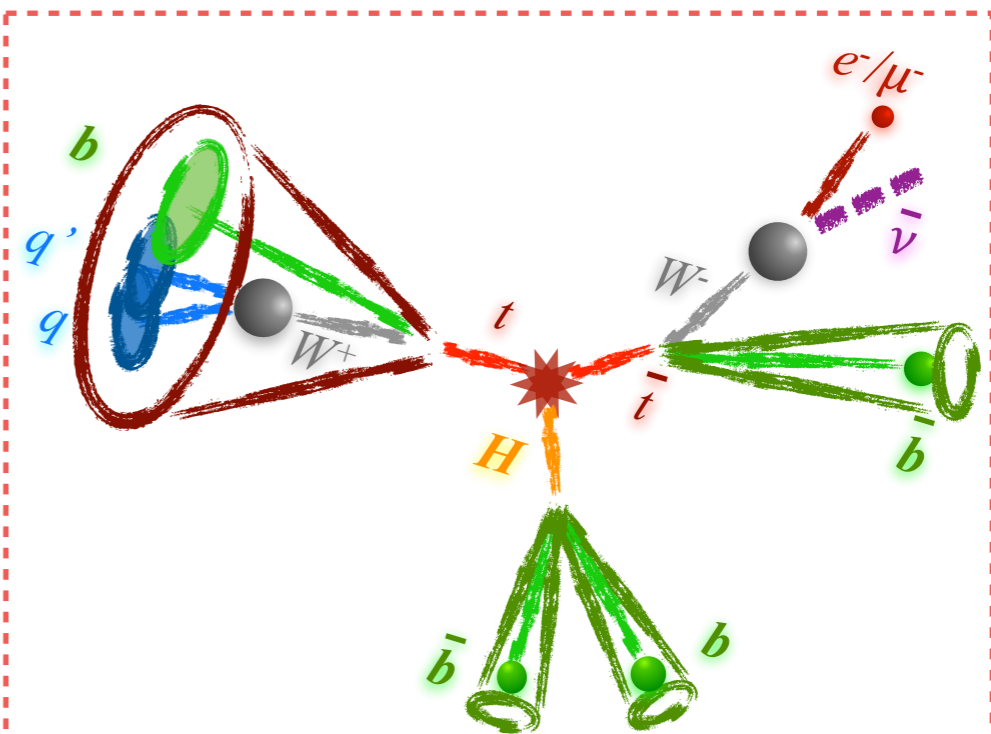
$t\bar{t}H(bb)$

- several regions **options under investigation**;
- improvement in **treatment of $t\bar{t}$ modelling**.

+

boosted $t\bar{t}H(bb)$

- adding **one boosted channel**, sensitive to different kinematics;
- **top/Higgs tagging** techniques;
- right now the strategy is being decided between 4 different SR options (**reclustering jets or large-R jets**).

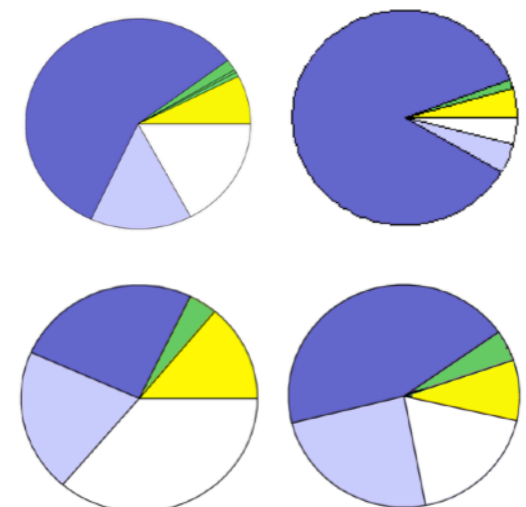


ATLAS Work in progress

$\sqrt{s} = 13$ TeV

Background composition

- $t\bar{t}$ bar+light
- $t\bar{t}$ bar+b
- $t\bar{t}$ bar+c
- $t\bar{t}$ bar+V
- Non- $t\bar{t}$ bar



CMS status

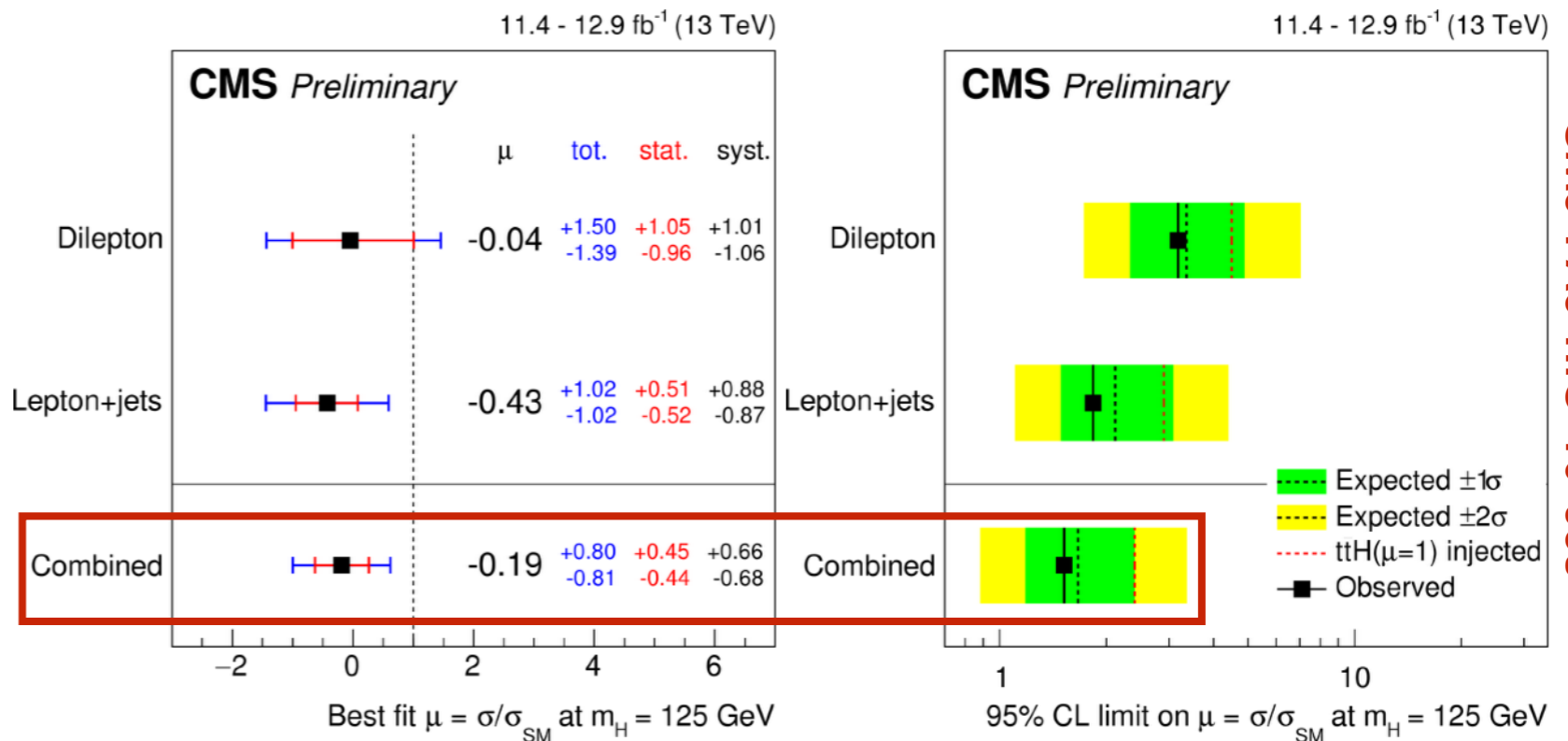


ttH(WW/ZZ/tt) with 35.9 fb⁻¹

- **Different analysis strategy:** no channel with τ s, different BDT training (against tt and against ttV);
- A signal strength $\mu = 1.5 \pm 0.5$ has been measured;
- this corresponds to an **observed (expected) significance 3.3 σ (2.5 σ);**
- **observed (expected) 95% C.L. limit on μ is 2.5 (0.8).**

ttH(bb) with 11.4 - 12.9 fb⁻¹

- **Different analysis strategy:** 2 channels, but different signal regions and different categorisation variables (BDT, MEM);
- A signal strength $\mu = -0.19 \pm 0.8$ has been measured;
- **observed (expected) 95% C.L. limit on μ is 1.5 (1.7).**



Conclusions

○ “The importance of being ttH” - (~) Oscar Wilde

- ttH searches crucial for **Higgs-Top coupling direct measurement**;
- possible **hint for physics BSM** from indirect measurements;

○ The obtained results:

- ATLAS ttH analyses based on **$\sim 13\text{fb}^{-1}$ p-p collisions at 13 TeV**;
- Run-2 results: observed (expected) significance **2.8σ (1.8σ)**;
 - to be compared with: observed (expected) significance **2.3σ (1.5σ) at Run-1**;
- total uncertainty is **dominated by systematics**.

○ What's next?

- **36.5fb^{-1}** with the full statistics of 2015+2016;
- **optimisations and big changes** are ongoing in all the analyses;
- a **boosted ttH channel** will be included in the next combination;
- preparing **one paper per analysis and one for the combination**.



Supporting material

Outline



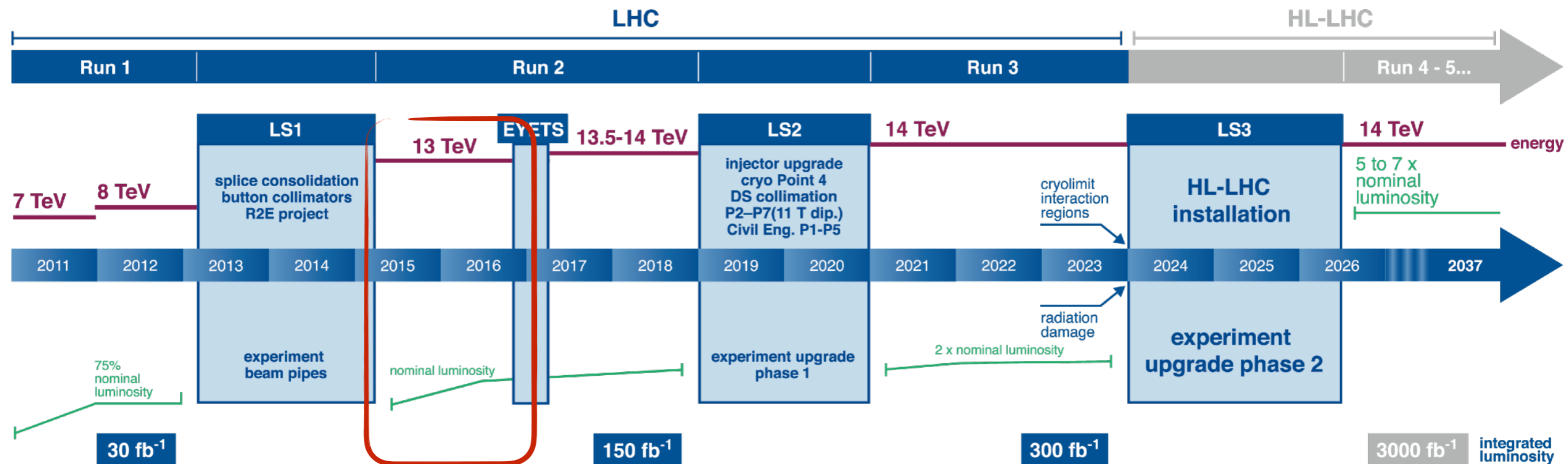
- **$t\bar{t}H$ production modes and motivations to $t\bar{t}H$ searches**
- **Run-1 results: summary**
- **Different channels in ATLAS:**
 - **$t\bar{t}H (\gamma\gamma)$;**
 - **$t\bar{t}H (WW/ZZ/t\bar{t})$;**
 - **$t\bar{t}H (bb)$;**
- **Run-2 early data results**
- **Changes in the analyses after the publication**
- **CMS status**
- **Conclusions**

Time schedule of LHC



reference

LHC / HL-LHC Plan



we are here

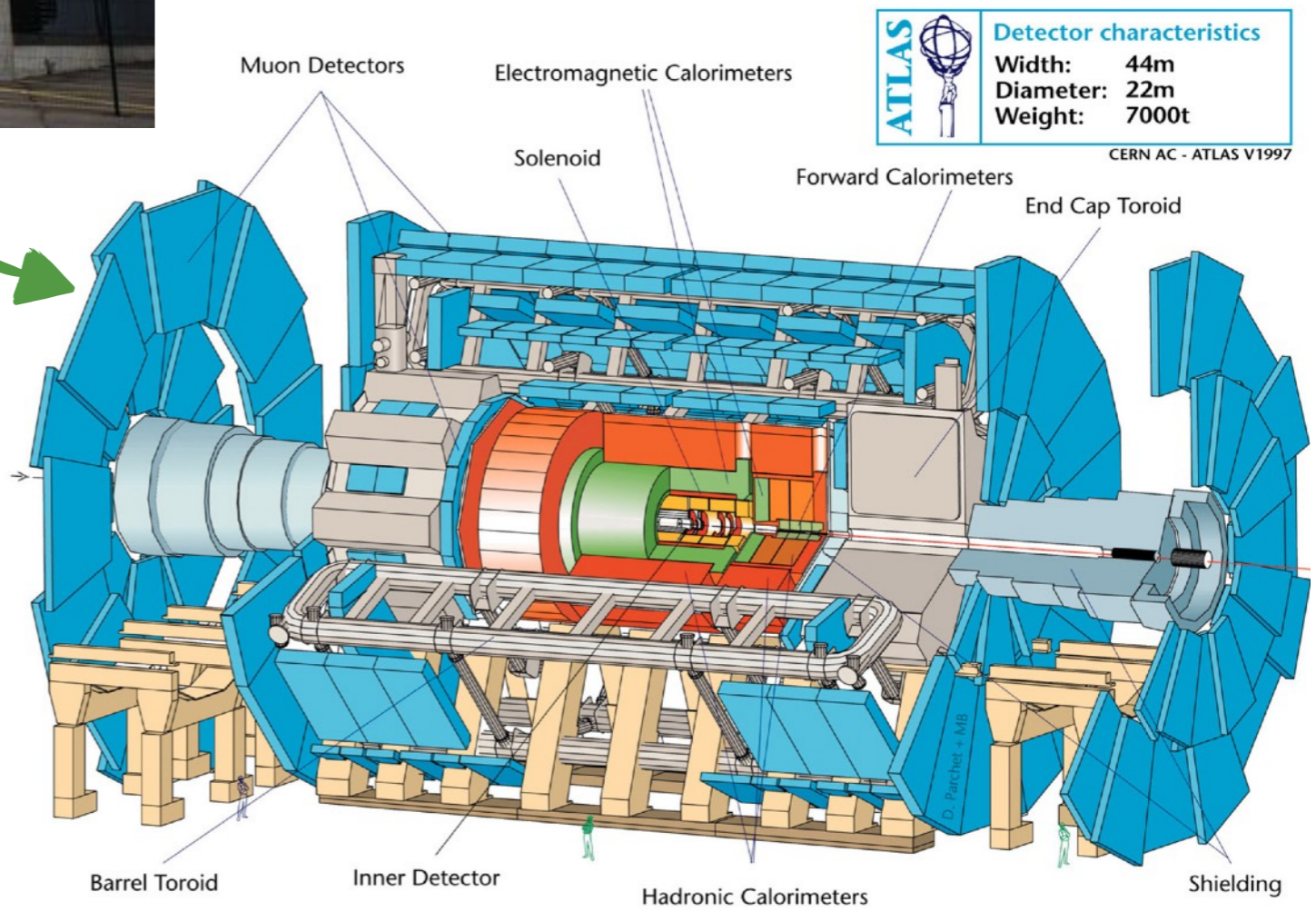
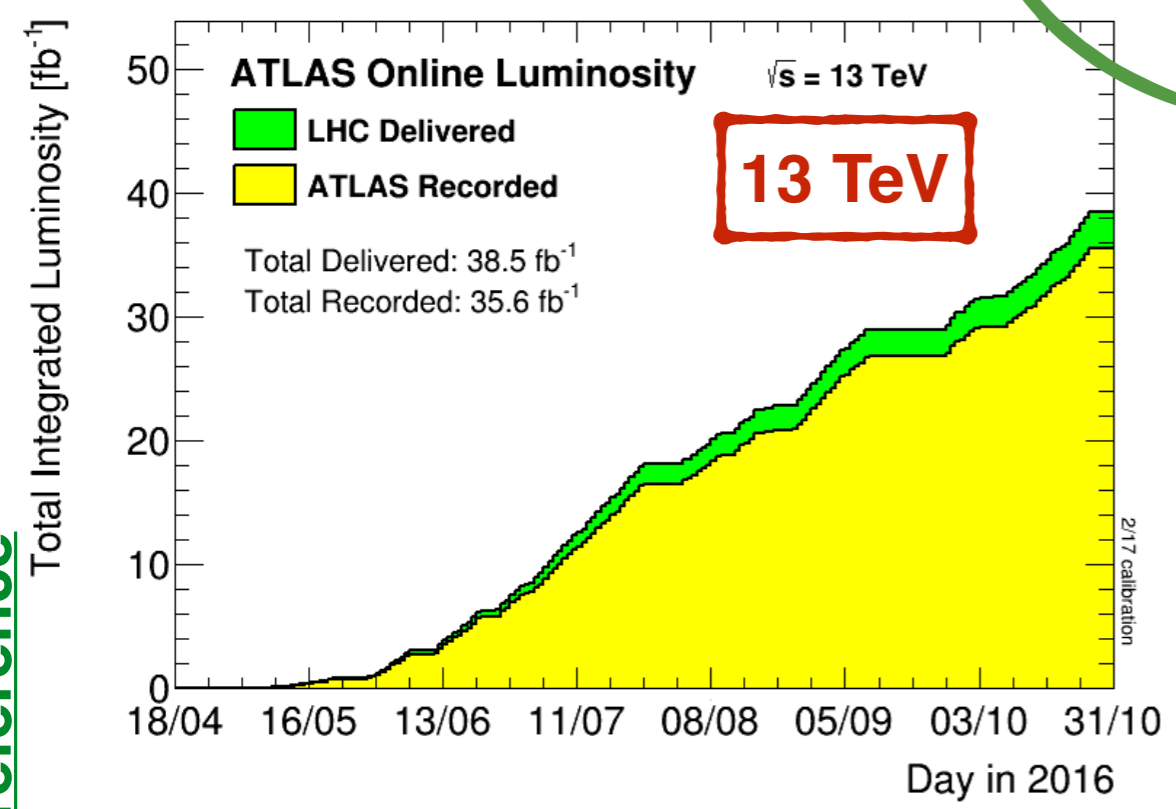
The ATLAS Experiment



- **Multipurpose experiment** to discover signatures of new physics and to perform precise measurements of Standard Model.
- **Different technologies depending on the kind of physics to be detected.**

Detector characteristics	
Width:	44m
Diameter:	22m
Weight:	7000t

CERN AC - ATLAS V1997



reference

Top Quark and Higgs Boson



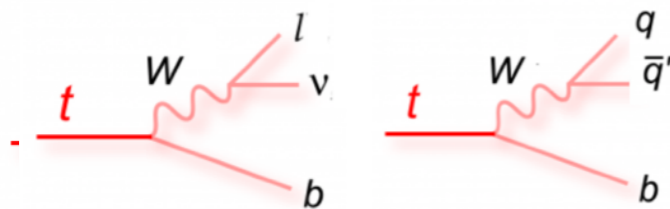
- The last quark discovered, only in **1995**.
- It is the **most massive** fundamental particle known:

reference

$$m_t = 173.34 \pm 0.27 \text{ (stat)} \pm 0.71 \text{ (syst) GeV}$$

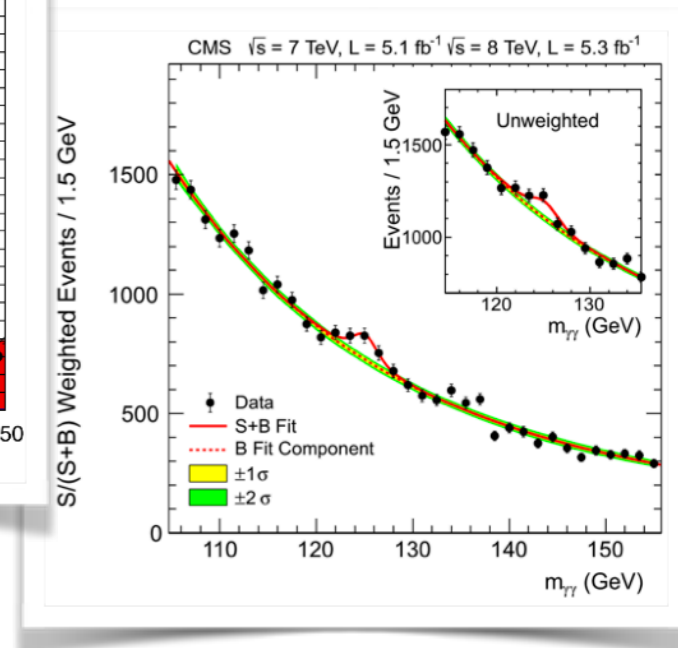
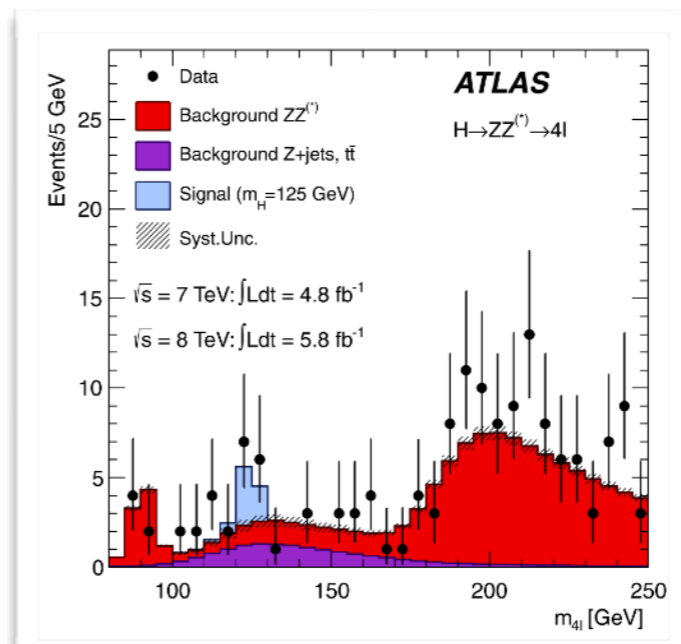
- High m_t implies a **large Yukawa coupling with the Higgs boson** (~ 1), wrt other couplings ($< 10^{-2}$).
- Due to its short lifetime, the top quark **decays before hadronizing** (detected as a “jet”: a cone of particles that goes through the detector).
- Unique opportunity to study properties of a bare quark.

Top decays $\sim 100\%$ of times in **W boson and b quark**



decay time $\sim 10^{-24}$ s
hadronization $\sim 10^{-23}$ s

- Speculated in **1964** by **Higgs, Englert and Brout**; discovered in 2012 at CERN; **Nobel in 2013**.
- ATLAS and CMS collaborations observed a **neutral scalar particle of mass ~ 125 GeV**: Higgs boson.

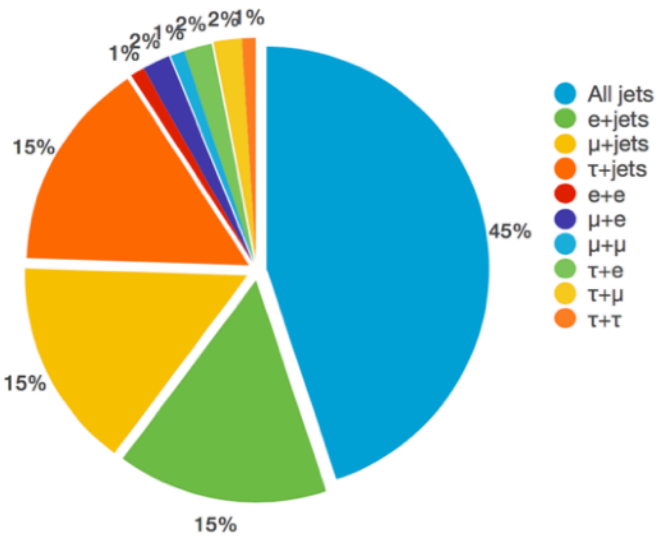


- Still **ongoing studies about its properties** (mass, spin, etc.).

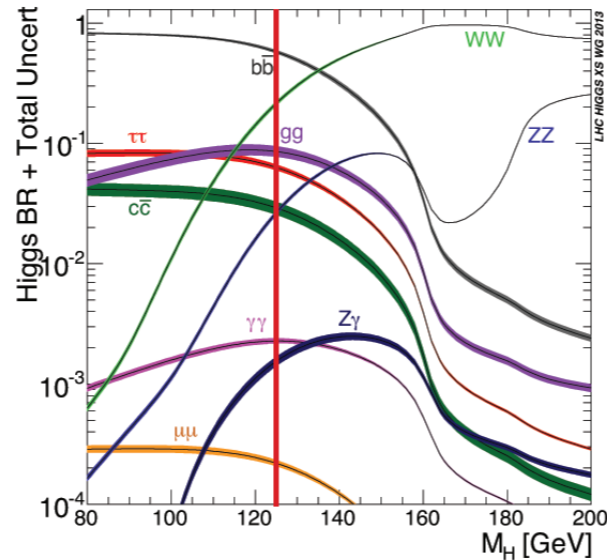
reference

$$m_H = 125.09 \pm 0.21 \text{ (stat)} \pm 0.11 \text{ (syst) GeV}$$

The ttH channel



BR (tt->lvqq) ~35%

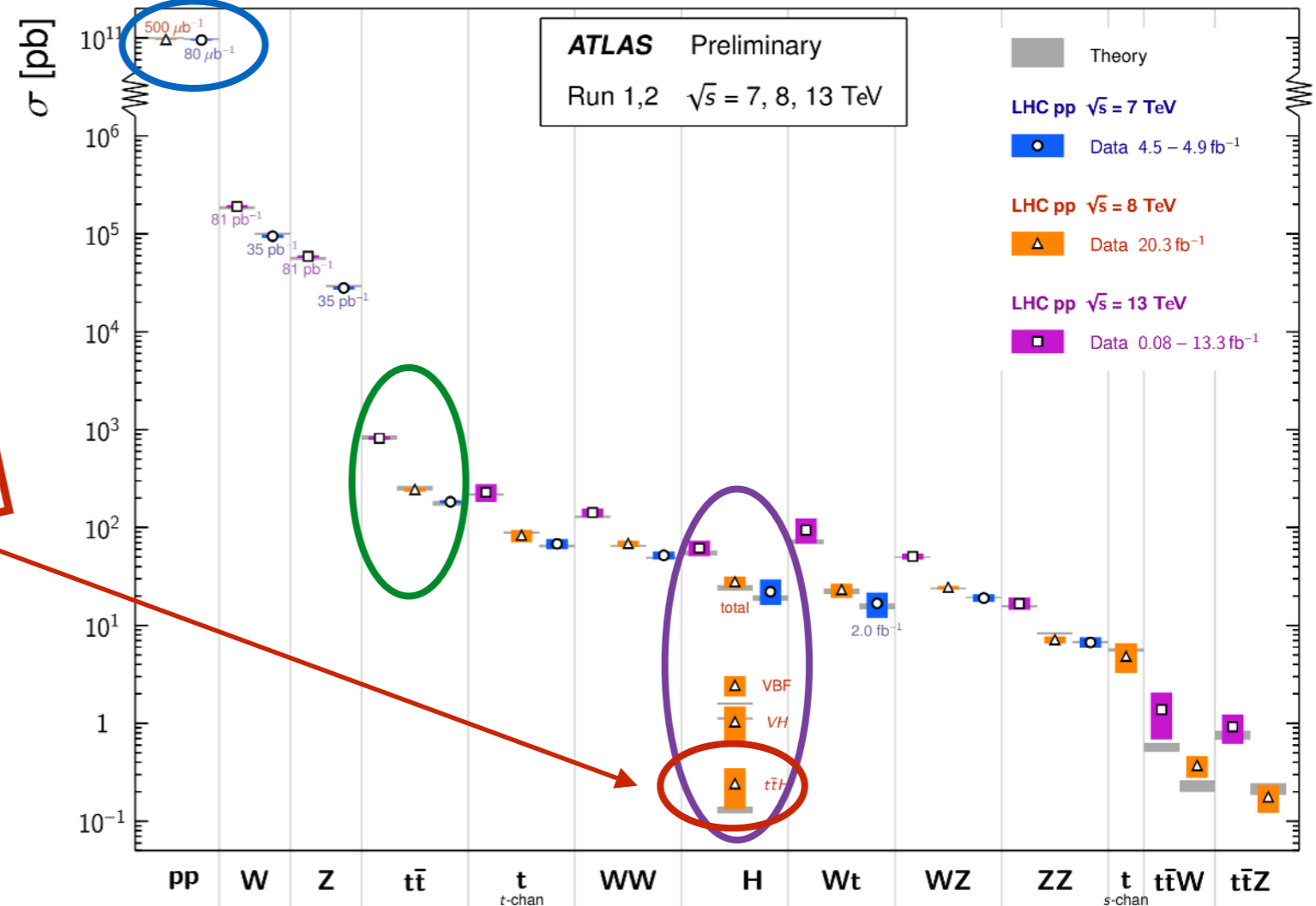


reference

Standard Model Total Production Cross Section Measurements

Status: August 2016

reference



$$\sigma(pp \rightarrow tt) \sim 8 \times 10^3 \text{ pb}$$

80 events each billion

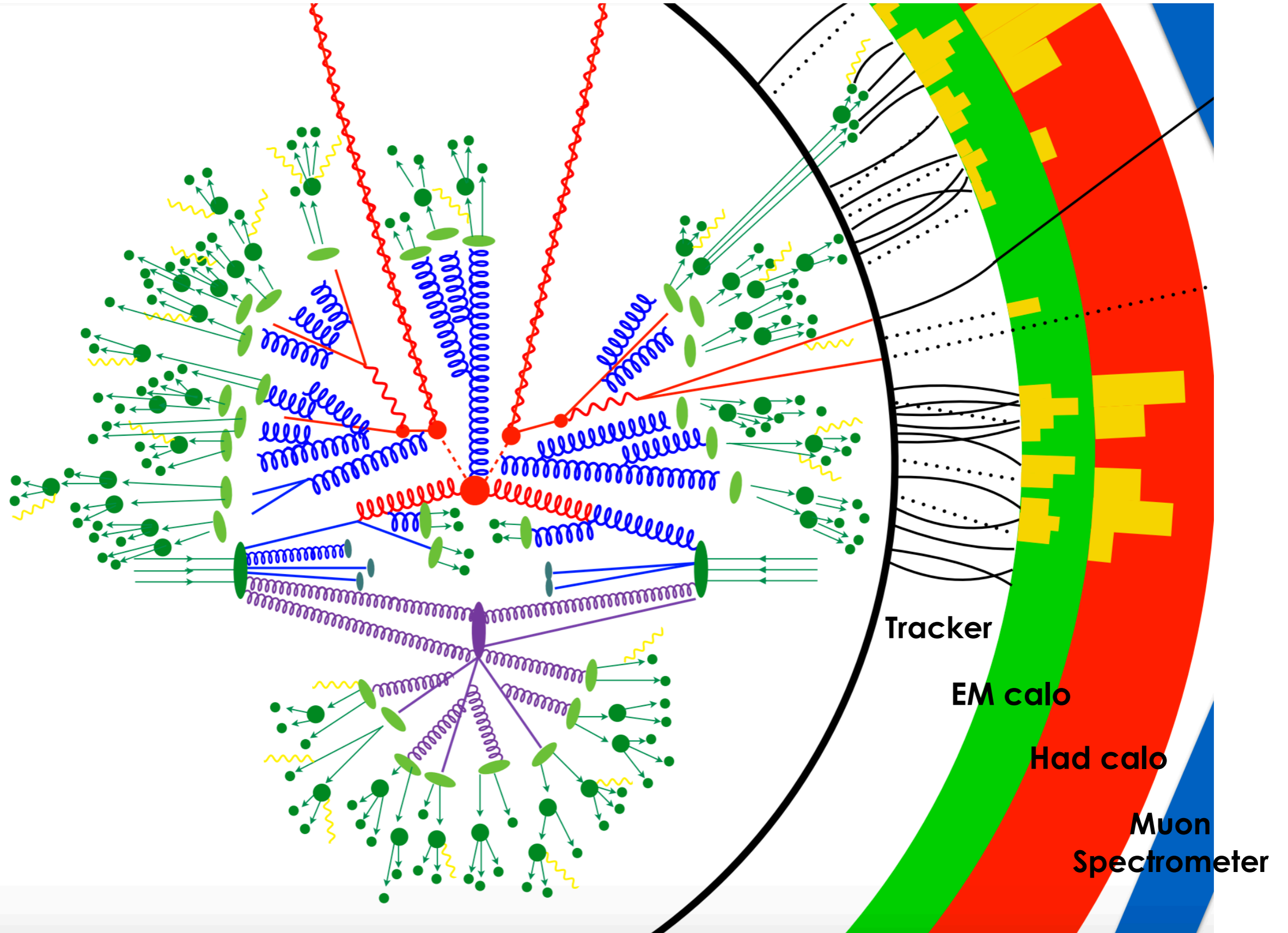
NB! the main background contribution to our channel

$$\sigma(pp \rightarrow HX) \sim 45 \text{ pb}$$

1 event each 2 billions

Rare event!

Reconstruction



$t\bar{t}H(\gamma\gamma)$ - photons isolation



ATLAS-CONF-2016-067

- Reconstruction is seeded in energy clusters in the electromagnetic calorimeter with $E_T > 2.5$ GeV in a region of $\Delta\eta \times \Delta\phi = 0.075 \times 0.125$;
- energy is measured from a cluster size of $\Delta\eta \times \Delta\phi = 0.075 \times 0.175$ in the barrel region of the calorimeter and $\Delta\eta \times \Delta\phi = 0.125 \times 0.125$ in the calorimeter endcaps;
- The identification of photons is based on the lateral and longitudinal shape of the electromagnetic shower in the calorimeter (2 working points, loose and tight);
- photon candidates are required to deposit only a small fraction of their energy in the hadronic calorimeter and to have a lateral shower shape consistent with that expected from a single electromagnetic shower;
- the info on the shape of the shower in the high granularity first layer is used to discriminate single photons from hadronic jets in which a neutral meson carries most of the jet energy.
- The calorimeter isolation is computed as the sum of transverse energies of positive-energy topological clusters [59] in the calorimeter within a cone of $\Delta R = (\Delta\eta)^2 + (\Delta\phi)^2 = 0.2$ centered around the photon candidate;
- the track isolation is computed as the scalar sum of the transverse momenta of all tracks in a cone of $\Delta R = 0.2$ with $p_T > 1$ GeV which pass some loose track quality criteria and originate from the diphoton primary vertex.

$ttH(\gamma\gamma)$ - more info



Signal & Background modeling

Signal model

- ▶ Double-sided crystal ball function centered at $m_H = 125.09$ GeV
- ▶ Parameters of the model determined using a fit to MC

Background model

- Modeled with an analytic function
- Chosen from data control regions
 - ▶ Minimize bias in extracted signal yield
 - ▶ NTN1 photons, loosened b-tagging requirement
- Considered functional forms
 - ▶ Exponentials, Power Law, Dijet, Bernstein polynomials

$ttH(\gamma\gamma)$ - more info



Systematics

- Theoretical uncertainties
 - ▶ QCD scale
 - ▶ PDF
 - ▶ Strong coupling constant α_s
 - ▶ BR($H \rightarrow \gamma\gamma$)
 - ▶ PDF acceptance
 - ▶ HF content in ttH categories
 - ▶ UE & PS
 - Experimental uncertainties
 - ▶ Yield uncertainties (Luminosity, Trigger, primary vertex selection)
 - ▶ Migration uncertainties (JES, JER, flavor tagging, lepton efficiency & ID, pileup reweighting, photon ID & isolation)
 - Signal shape uncertainties
 - ▶ Scale & resolution
 - Background modeling \Rightarrow Spurious signal
- \rightarrow Most systematics in place except for some theory uncertainties**

ttH (WW/ZZ/tt)



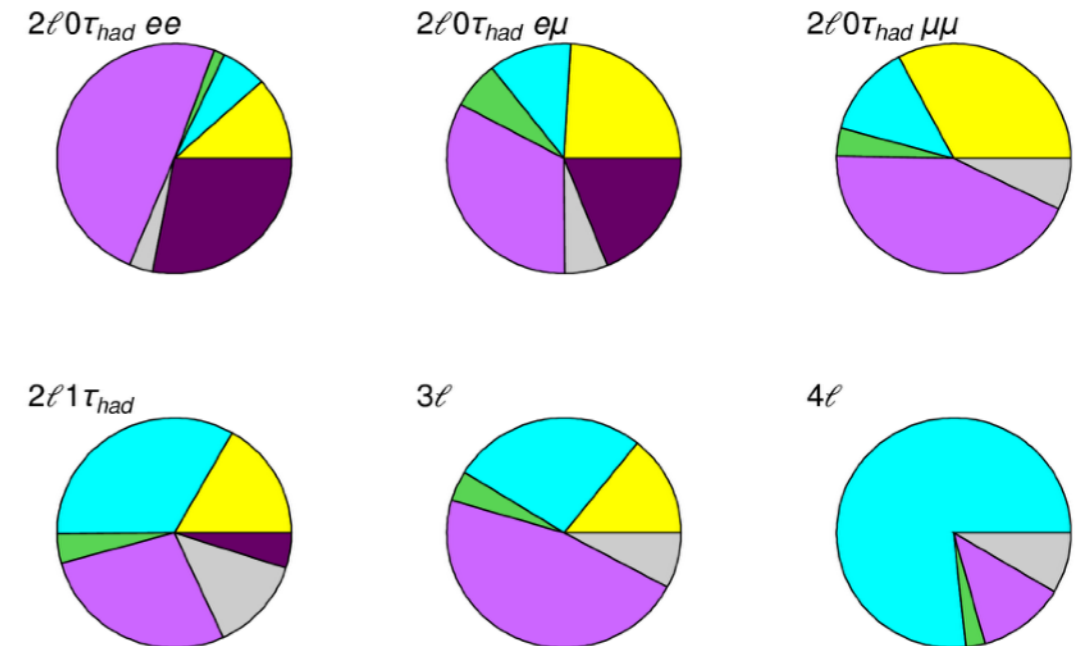
ATLAS-CONF-2016-058

SR/VR	Channel	Selection criteria
SR	$2\ell 0\tau_{\text{had}}$	Two tight light leptons with $p_T > 25, 25$ GeV Sum of light lepton charges ± 2 Any electrons must have $ \eta_e < 1.37$ Zero τ_{had} candidates $N_{\text{jets}} \geq 5$ and $N_{b\text{-jets}} \geq 1$
SR	$2\ell 1\tau_{\text{had}}$	Two tight light leptons, with $p_T > 25, 15$ GeV Sum of light lepton charges ± 2 Exactly one τ_{had} candidate, of opposite charge to the light leptons $ m(ee) - 91.2 \text{ GeV} > 10$ GeV for ee events $N_{\text{jets}} \geq 4$ and $N_{b\text{-jets}} \geq 1$
SR	3ℓ	Three light leptons; sum of light lepton charges ± 1 Two same-charge leptons must be tight and have $p_T > 20$ GeV $m(\ell^+\ell^-) > 12$ GeV and $ m(\ell^+\ell^-) - 91.2 \text{ GeV} > 10$ GeV for all SFOC pairs $ m(3\ell) - 91.2 \text{ GeV} > 10$ GeV $N_{\text{jets}} \geq 4$ and $N_{b\text{-jets}} \geq 1$, or $N_{\text{jets}} = 3$ and $N_{b\text{-jets}} \geq 2$
SR	4ℓ	Four light leptons; sum of light lepton charges 0 All leptons pass "gradient" isolation selection $m(\ell^+\ell^-) > 12$ GeV and $ m(\ell^+\ell^-) - 91.2 \text{ GeV} > 10$ GeV for all SFOC pairs $100 \text{ GeV} < m(4\ell) < 350$ GeV and $ m(4\ell) - 125 \text{ GeV} > 5$ GeV $N_{\text{jets}} \geq 2$ and $N_{b\text{-jets}} \geq 1$
VR	Tight $t\bar{t}Z$	3ℓ lepton selection % and trigger selection At least one $\ell^+\ell^-$ pair with $ m(\ell^+\ell^-) - 91.2 \text{ GeV} < 10$ GeV $N_{\text{jets}} \geq 4$ and $N_{b\text{-jets}} \geq 2$
VR	Loose $t\bar{t}Z$	3ℓ lepton selection % and trigger selection At least one $\ell^+\ell^-$ pair with $ m(\ell^+\ell^-) - 91.2 \text{ GeV} < 10$ GeV $N_{\text{jets}} \geq 4$ and $N_{b\text{-jets}} \geq 1$, or $N_{\text{jets}} = 3$ and $N_{b\text{-jets}} \geq 2$
VR	$WZ + 1 b\text{-tag}$	3ℓ lepton selection % and trigger selection At least one $\ell^+\ell^-$ pair with $ m(\ell^+\ell^-) - 91.2 \text{ GeV} < 10$ GeV $N_{\text{jets}} \geq 1$ and $N_{b\text{-jets}} = 1$
VR	$t\bar{t}W$	$2\ell 0\tau_{\text{had}}$ lepton selection % and trigger selection $2 \leq N_{\text{jets}} \leq 4$ and $N_{b\text{-jets}} \geq 2$ $H_{T,\text{jets}} > 220$ GeV for ee and $e\mu$ events $E_T^{\text{miss}} > 50$ GeV and $(m(ee) < 75$ or $m(ee) > 105 \text{ GeV})$ for ee events

Category	Higgs boson decay mode				$A \times \epsilon$ ($\times 10^{-4}$)
	WW^*	$\tau\tau$	ZZ^*	Other	
$2\ell 0\tau_{\text{had}}$	77%	17%	3%	3%	14
$2\ell 1\tau_{\text{had}}$	46%	51%	2%	1%	2.2
3ℓ	74%	20%	4%	2%	9.2
4ℓ	72%	18%	9%	2%	0.88

ATLAS Simulation Preliminary
 $\sqrt{s} = 13$ TeV
Background composition

■ QMisReco ■ Other
■ Non-prompt ■ Diboson
■ $t\bar{t}(Z/\gamma^*)$ ■ $t\bar{t}W$



$t\bar{t}H(WW/ZZ/t\bar{t})$



ATLAS-CONF-2016-058

Uncertainty Source	$\Delta\mu$	
Non-prompt leptons and charge misreconstruction	+0.56	-0.64
Jet-vertex association, pileup modeling	+0.48	-0.36
$t\bar{t}W$ modeling	+0.29	-0.31
$t\bar{t}H$ modeling	+0.31	-0.15
Jet energy scale and resolution	+0.22	-0.18
$t\bar{t}Z$ modeling	+0.19	-0.19
Luminosity	+0.19	-0.15
Diboson modeling	+0.15	-0.14
Jet flavor tagging	+0.15	-0.12
Light lepton (e, μ) and τ_{had} ID, isolation, trigger	+0.12	-0.10
Other background modeling	+0.11	-0.11
Total systematic uncertainty	+1.1	-0.9

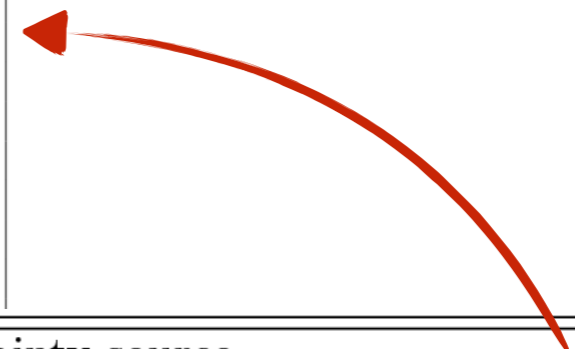
ttH(bb)



ATLAS-CONF-2016-080

Systematic source	How evaluated	tt categories
tt cross-section	$\pm 6\%$	All, correlated
NLO generator (residual)	Powheg-Box + Herwig++ vs. MG5_aMC + Herwig++	All, uncorrelated
Radiation (residual)	Variations of μ_R , μ_F , and $hdamp$	All, uncorrelated
PS & hadronisation (residual)	Powheg-Box + Pythia 6 vs. Powheg-Box + Herwig++	All, uncorrelated
NNLO top & tt pT	Maximum variation from any NLO prediction	tt+ $\geq 1c$, tt+light, uncorr.
tt+bb NLO generator reweighting	SherpaOL vs. MG5_aMC + Pythia8	tt+ $\geq 1b$
tt+bb PS & hadronis. reweighting	MG5_aMC + Pythia8 vs. MG5_aMC + Herwig++	tt+ $\geq 1b$
tt+bb renorm. scale reweighting	Up or down a by factor of two	tt+ $\geq 1b$
tt+bb resumm. scale reweighting	Vary μ_Q from $H_T/2$ to μ_{CMMPs}	tt+ $\geq 1b$
tt+bb global scales reweighting	Set μ_Q , μ_R , and μ_F to μ_{CMMPs}	tt+ $\geq 1b$
tt+bb shower recoil reweighting	Alternative model scheme	tt+ $\geq 1b$
tt+bb PDF reweighting	CT10 vs. MSTW or NNPDF	tt+ $\geq 1b$
tt+bb MPI	Up or down by 50%	tt+ $\geq 1b$
tt+bb FSR	Radiation variation samples	tt+ $\geq 1b$
tt+c \bar{c} ME calculation	MG5_aMC + Herwig++ inclusive vs. ME prediction	tt+ $\geq 1c$

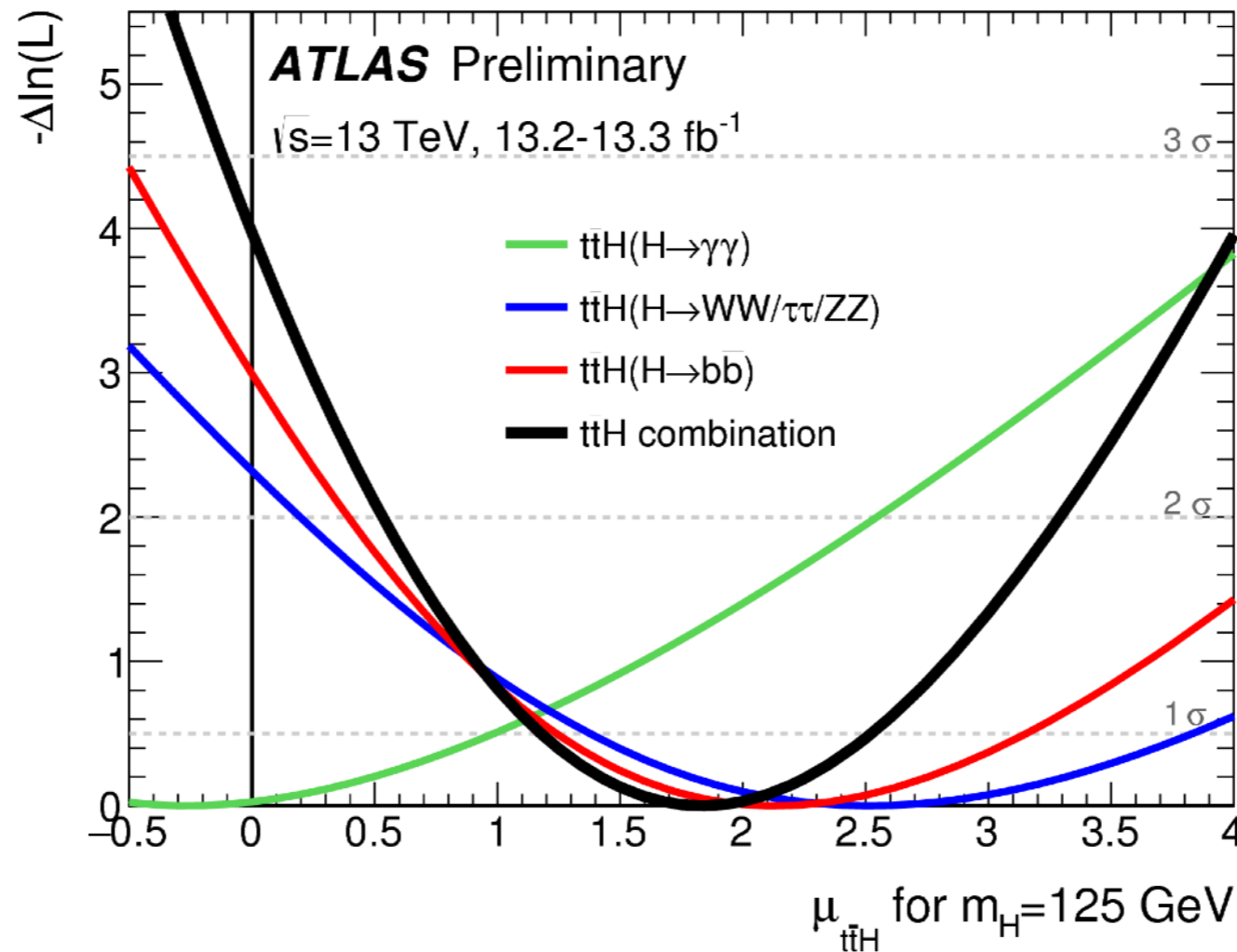
Uncertainty source	$\Delta\mu$	
tt+ $\geq 1b$ modelling	+0.53	-0.53
Jet flavour tagging	+0.26	-0.26
ttH modelling	+0.32	-0.20
Background model statistics	+0.25	-0.25
tt+ $\geq 1c$ modelling	+0.24	-0.23
Jet energy scale and resolution	+0.19	-0.19
tt+light modelling	+0.19	-0.18
Other background modelling	+0.18	-0.18
Jet-vertex association, pileup modelling	+0.12	-0.12
Luminosity	+0.12	-0.12
ttZ modelling	+0.06	-0.06
Light lepton (e, μ) ID, isolation, trigger	+0.05	-0.05
Total systematic uncertainty	+0.90	-0.75
tt+ $\geq 1b$ normalisation	+0.34	-0.34
tt+ $\geq 1c$ normalisation	+0.14	-0.14
Statistical uncertainty	+0.49	-0.49
Total uncertainty	+1.02	-0.89



Combination and signal strength



ATLAS-CONF-2016-068



Analysis	Observed	-2σ	-1σ	Median ($\mu_{t\bar{t}H} = 0$)	$+1 \sigma$	$+2 \sigma$	Median ($\mu_{t\bar{t}H} = 1$)
$t\bar{t}H, H \rightarrow \gamma\gamma$	2.6	1.4	1.9	2.7	4.0	5.9	3.7
$t\bar{t}H, H \rightarrow (WW, \tau\tau, ZZ)$	4.9	1.2	1.7	2.3	3.4	5.1	3.1
$t\bar{t}H, H \rightarrow b\bar{b}$	4.0	1.0	1.4	1.9	2.8	4.2	2.7
$t\bar{t}H$ combination	3.0	0.6	0.9	1.2	1.7	2.4	2.1
$t\bar{t}H$ combination Run-1	3.1	0.8	1.0	1.4	2.0	2.7	2.4

CMS status: $ttH(WW/ZZ/\tau\tau)$



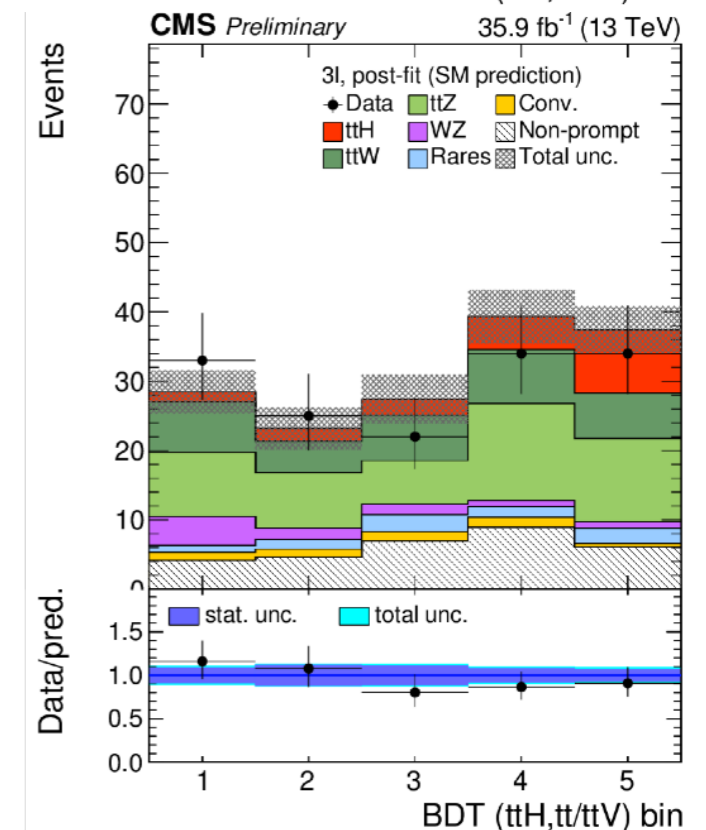
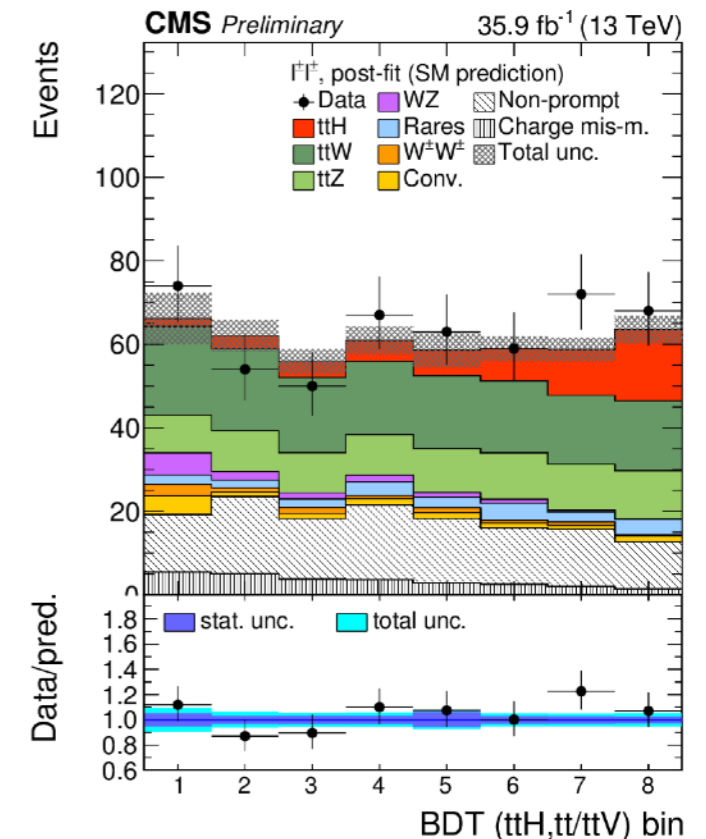
CMS-PAS-HIG-17-004

35.9 fb⁻¹

Category	Observed μ fit $\pm 1\sigma$	Expected μ fit $\pm 1\sigma$
Same-sign di-lepton	1.7 (-0.5) (+0.6)	1.0 (-0.5) (+0.5)
Three lepton	1.0 (-0.7) (+0.8)	1.0 (-0.7) (+0.8)
Four lepton	0.9 (-1.6) (+2.3)	1.0 (-1.6) (+2.4)
Combined (2016 data)	1.5 (-0.5) (+0.5)	1.0 (-0.4) (+0.5)
Combined (2015 data) [42]	0.6 (-1.1) (+1.4)	1.0 (-1.1) (+1.3)
Combined (2015+2016 data)	1.5 (-0.5) (+0.5)	1.0 (-0.4) (+0.5)

Category	Observed limit	Expected limit $\pm 1\sigma$
Same-sign di-lepton	2.8	0.9 (-0.3) (+0.4)
Three lepton	2.5	1.4 (-0.4) (+0.7)
Four lepton	5.9	4.9 (-1.7) (+3.1)
Combined	2.5	0.8 (-0.2) (+0.3)

- **Different analysis strategy:** no channel with τ s, different BDT training (against tt and against ttV);
- A signal strength $\mu = 1.5 \pm 0.5$ has been measured;
- this corresponds to an **observed (expected) significance 3.3 σ (2.5 σ)**;
- **observed (expected) 95% C.L. limit on μ is 2.5 (0.8).**

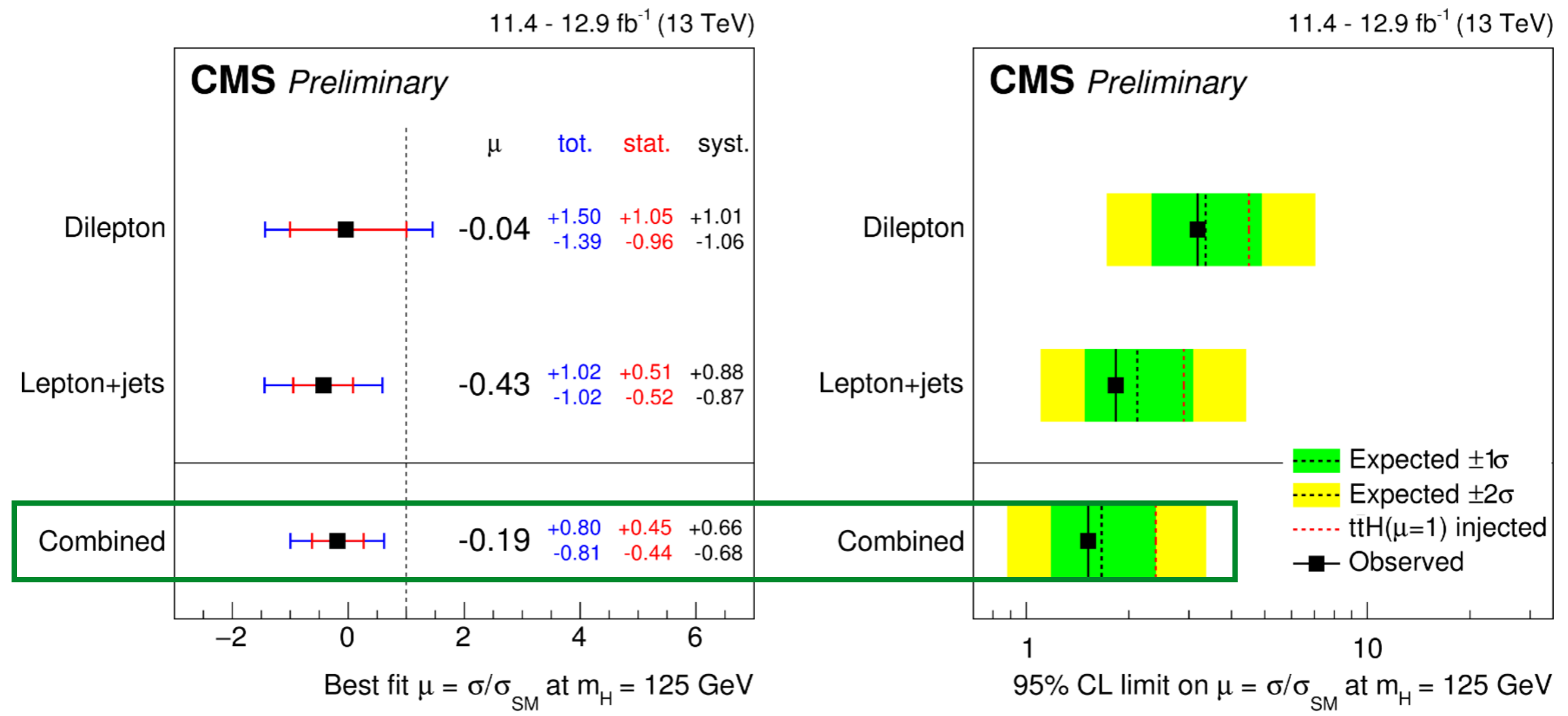


CMS status: $ttH(bb)$



11.4 - 12.9 fb^{-1}

CMS-PAS-HIG-16-038



- **Different analysis strategy:** 2 channels, but different signal regions and different categorisation variables (BDT, MEM);
- A signal strength $\mu = -0.19 \pm 0.8$ has been measured;
- **observed (expected) 95% C.L. limit on μ is 1.5 (1.7).**

Large-R jets: reconstruction and grooming

both small-R jets and large-R jets

Reconstruction algorithms

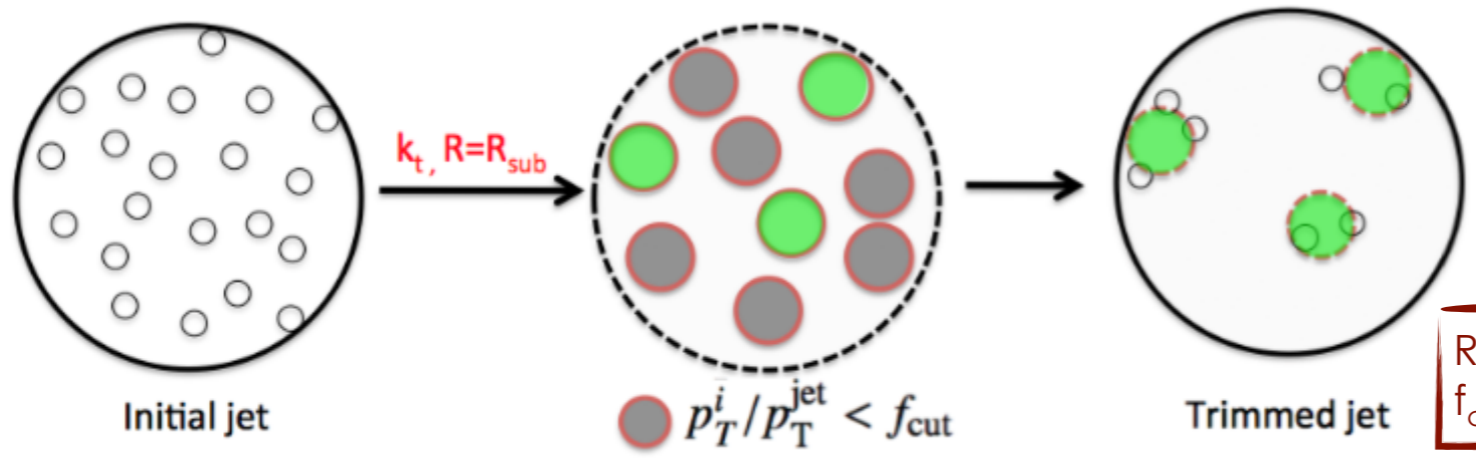
Jet are reconstructed with an iterative algorithm which combines calo deposits inside a given radius $R = 1.0$

Jets are then cleaned, with “grooming” algorithms, from contamination due to the high particles concentration

Trimming algorithm

Jet constituents are reconstructed again into jets with smaller radius R_{sub} (subject). Subjects with lower p_T than a fraction f_{cut} of initial jet p_T are dropped off. The final jet is reconstructed using only the remaining subjects.

only large-R jets



$R_{sub} = 0.2$
 $f_{cut} = 0.05$



Anti- k_{τ} and k_{τ} algorithms



- The iterative recombination procedure works by first cleaning a list of all objects (either hadrons, topo-clusters or tracks) in an event.
- The ordering of the list is irrelevant and proto-jets are built from these objects.
- Two distance measures in y - ϕ -space are associated to each member of the list, between the proto-jet and its closest neighbor:

$$\rho_{ij} = \min(p_{Ti}^{2p}, p_{Tj}^{2p}) \frac{(\Delta R_{ij})^2}{R^2}$$

and between the proto-jet and the beam:

$$\rho_{iB} = p_{Ti}^{2p}$$

measure of the opening angle
between the two constituents

$$\Delta R_{ij} = \sqrt{(y_i - y_j)^2 + (\phi_i - \phi_j)^2}$$

- ➔ If $\rho_{iB} < \rho_{ij}$: the proto-jet is closer to the beam than it is to any other proto-jet in the event, so it is defined as a jet and removed from the list.
- ➔ If $\rho_{iB} > \rho_{ij}$: the two proto-jets i and j are combined into one, thereby forming a new proto-jet. This procedure continues through all proto-jets in the event.
- ◆ If $p = +1$ ➔ **k_{τ} algorithm**: proto-jets with the smallest p_{τ} tend to be clustered first, so that the highest p_{τ} proto-jets are clustered last.
- ◆ If $p = -1$ ➔ **anti- k_{τ} algorithm**: proto-jets with the largest p_{τ} are clustered first. A consequence of this is that isolated anti- k_{τ} jets tend to be very close to circular in η - ϕ space, because the axis of the jet is relatively fixed after the first few steps of recombination. This stability makes anti- k_{τ} jets more robust than k_{τ} jets in high multiplicity environments.

Tagging techniques

- Used to exploit all the substructure characteristics of the large-R jets in boosted regimes;
- Top-tagging:** simple algorithm which provides cuts on two large-R jet substructure variables:

Calibrated mass of the jet

$$(m_{\text{jet}}^{\text{uncalib}})^2 = \left(\sum_i E_i \right)^2 - \left(\sum_i \vec{p}_i \right)^2$$

calibration needed because of low p_T and large angle contributions

Ratio τ_{32} between N-subjettiness variables

$$\tau_N = \frac{1}{d_0} \sum_k p_{Tk} \times \min(\delta R_{1k}, \delta R_{2k}, \dots, \delta R_{Nk})$$

number of reconstructed subjects \rightarrow $d_0 = \sum_k p_{Tk} \times R$ distance between subject i and constituent k

$\rightarrow \tau_{32} = \tau_3 / \tau_2$

- Higgs-tagging:** very similar to top-tagging but for the second substructure variable:

Energy correlation D_2

$$D_2^{(\alpha, \beta)} = \frac{e_3^{(\alpha)}}{(e_2^{(\beta)})^{3\alpha/\beta}}$$

e_2, e_3 = energy correlation functions: take into account all p_T , combinations and boost-invariant angle ΔR between constituents

$\alpha, \beta = 1$

- Taggers performances** are given by two values, calculated in the same way:

Signal efficiency

$$\epsilon = \left(\frac{N_{\text{tagged}}}{N_{\text{total}}} \right)_{\text{signal}}$$

Background rejection

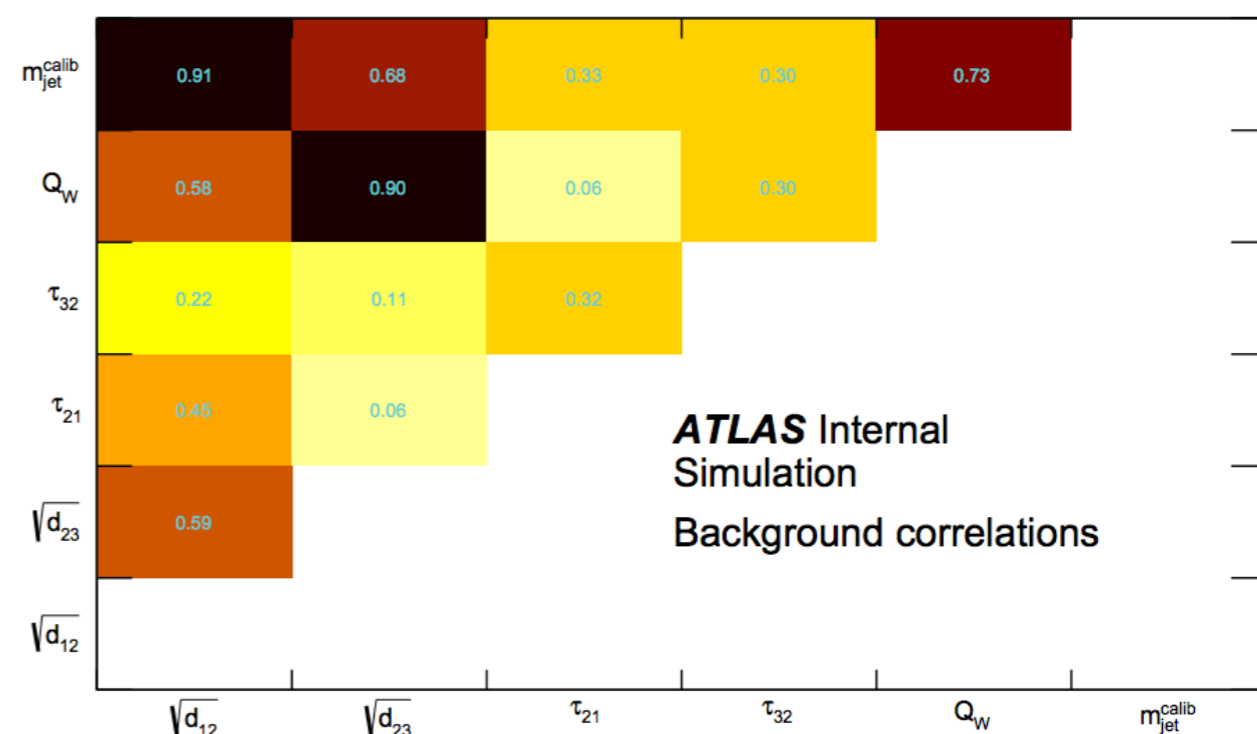
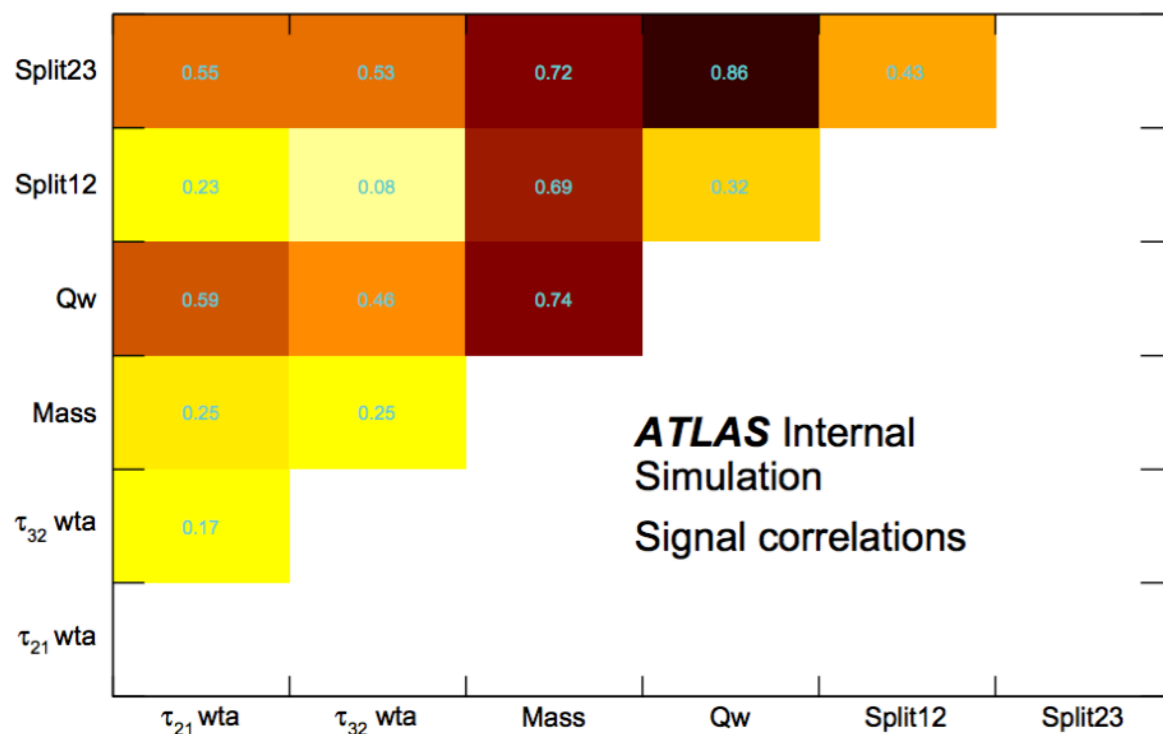
$$r = \left(\frac{N_{\text{total}}}{N_{\text{tagged}}} \right)_{\text{background}}$$

Top Tagging

The two variables $m_{\text{jet}}^{\text{calib}}$ and τ_{32} were chosen from a set of substructure variables, including other N-subjettiness ratio (τ_{21}), splitting scale variables ($\sqrt{d_{12}}, \sqrt{d_{23}}$) and the minimum dijet mass from the three subjects (Q_w).

- The two chosen variables show a **good background rejection** at 50% and 80% signal efficiency.
- The τ_{ij} variables are **uncorrelated** with respect to the mass and energy scale variables.

This combination of strong performance and lack of correlated behavior motivates the choice of tagging variables.



Top Tagging technique



- Used to **exploit all the substructure characteristics of the large-R jets** in boosted regimes;
- substructure variables in the algorithm: **large-R jet mass** and **τ_{32} ratio**.

Performances

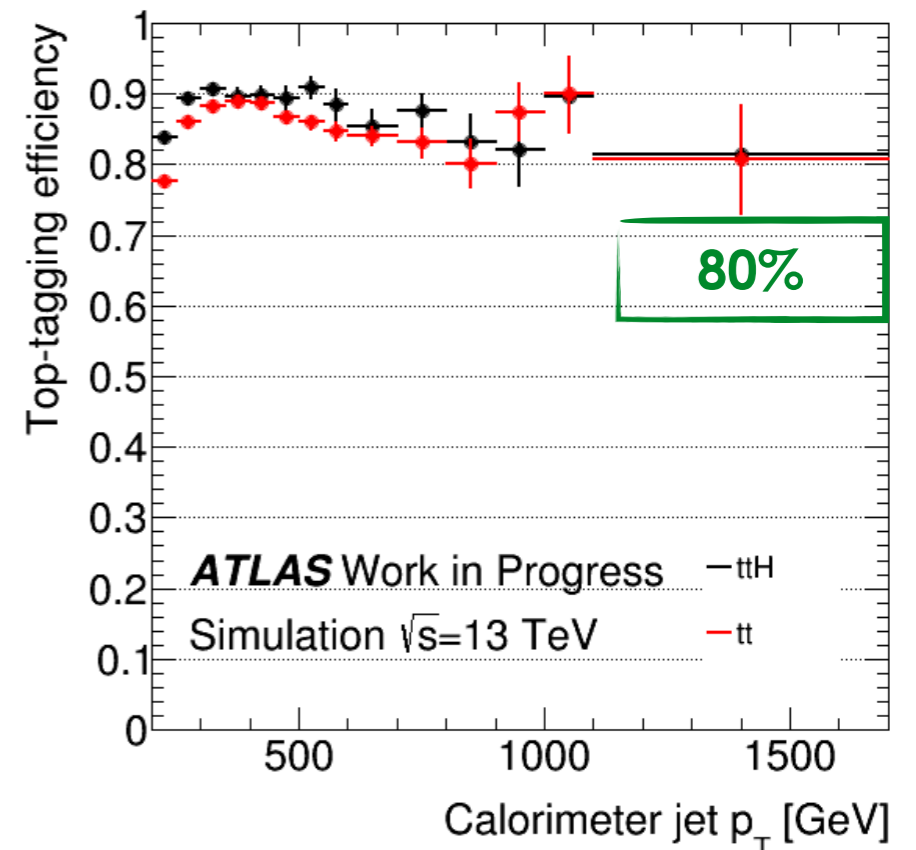
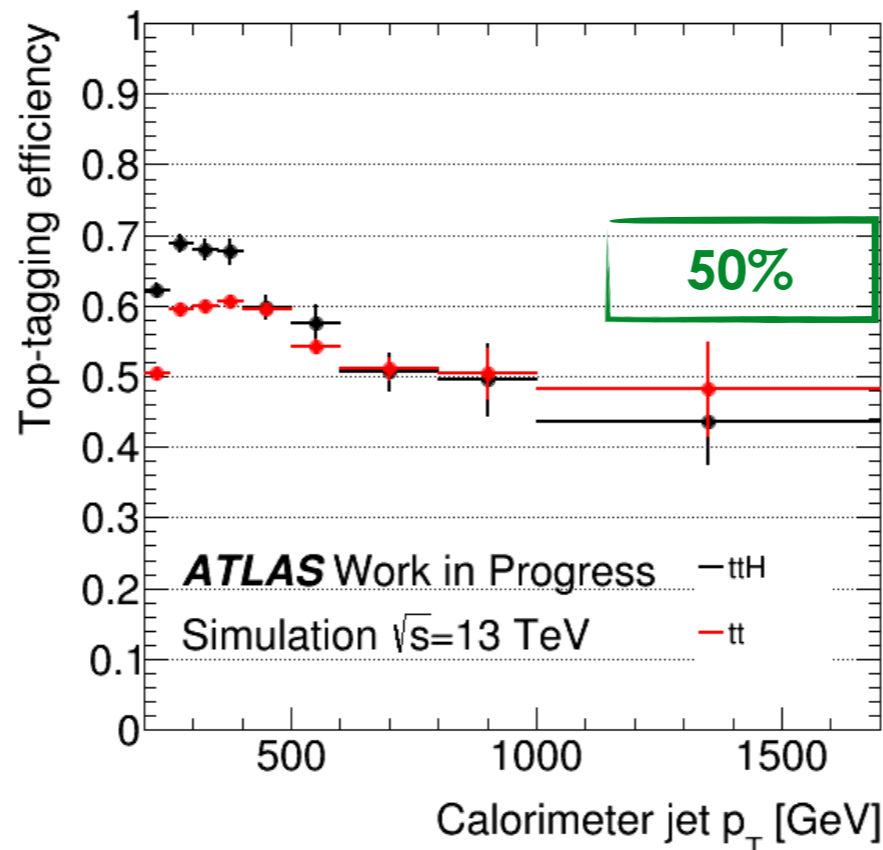
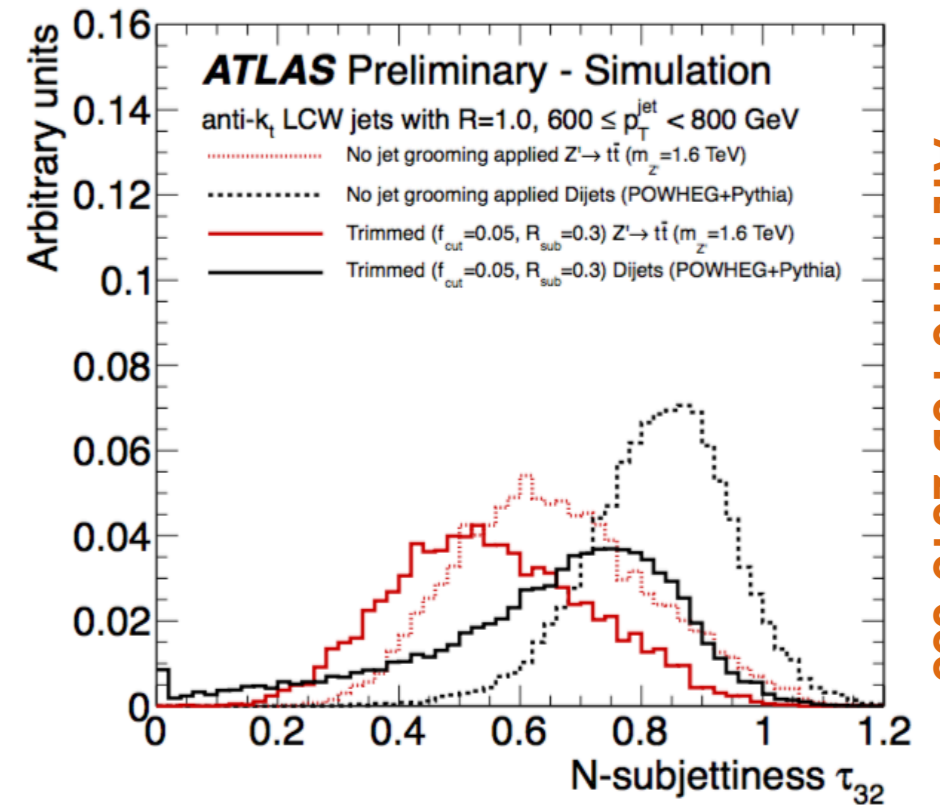
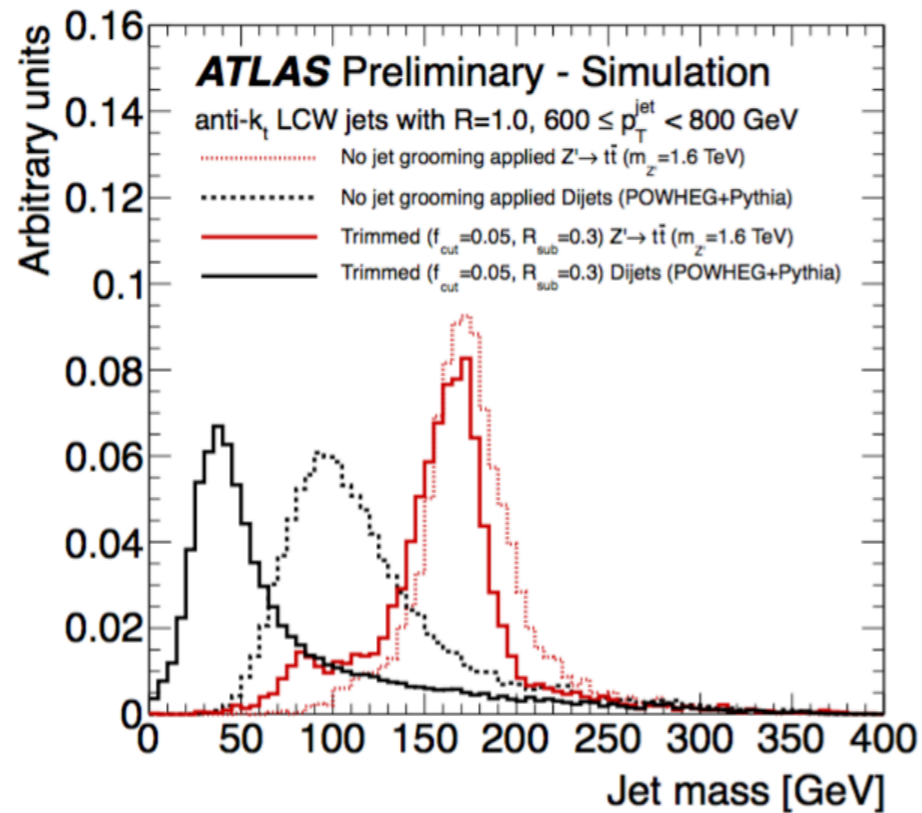
- Comparison between **efficiencies in tt and ttH**;
- looking at:

Signal efficiency

$$\epsilon = \left(\frac{N_{tagged}}{N_{total}} \right)_{signal}$$

Background rejection

$$r = \left(\frac{N_{total}}{N_{tagged}} \right)_{background}$$



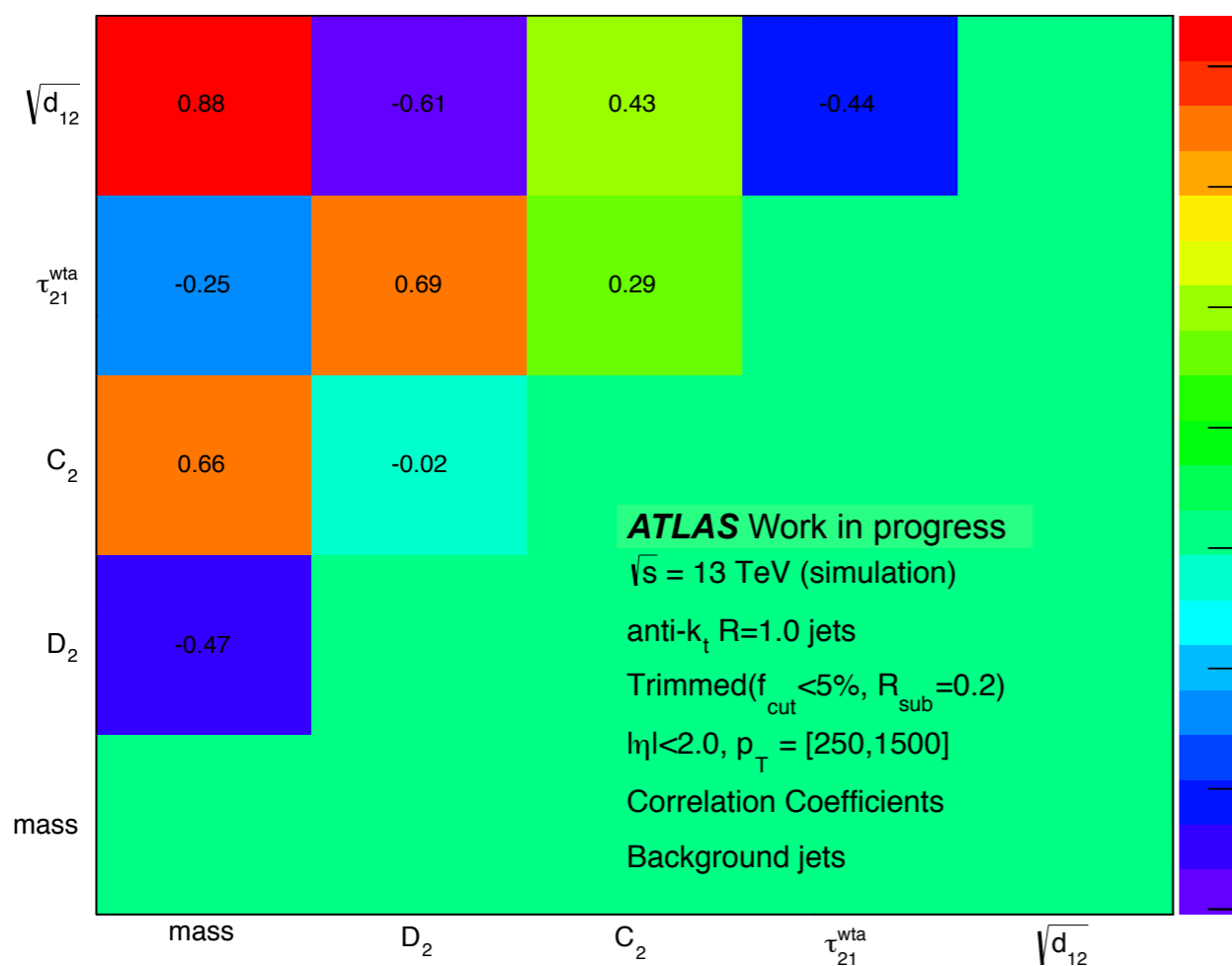
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Higgs Tagging

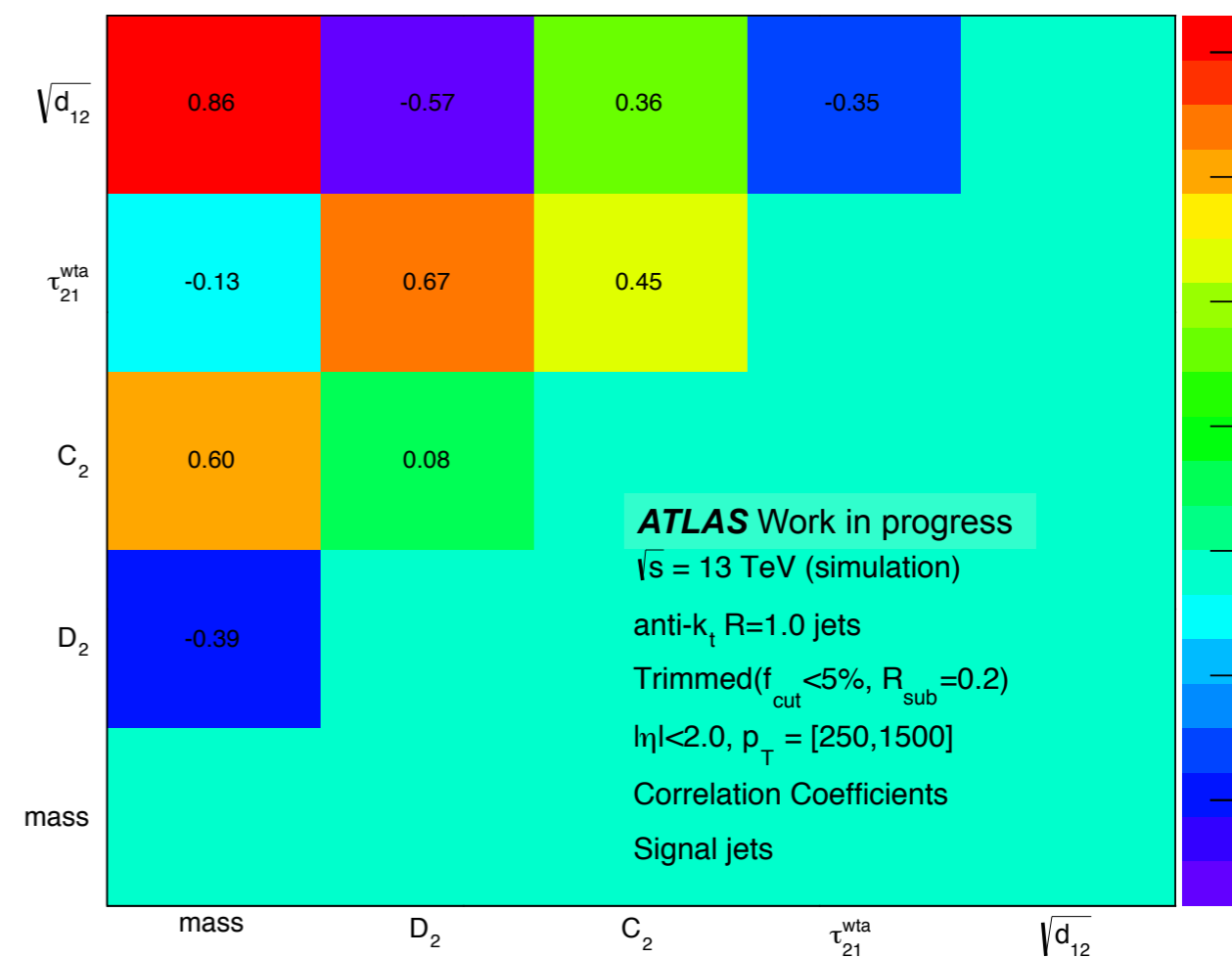
Correlation matrices:

- 5 variables studied;
- considered all the combinations.

Background

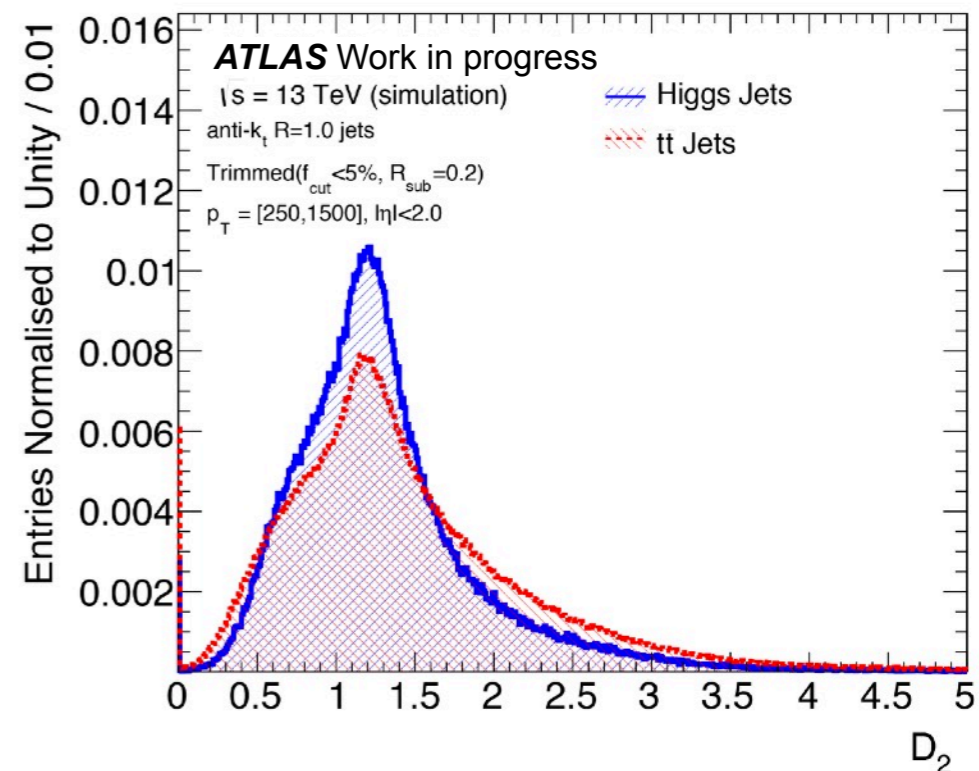
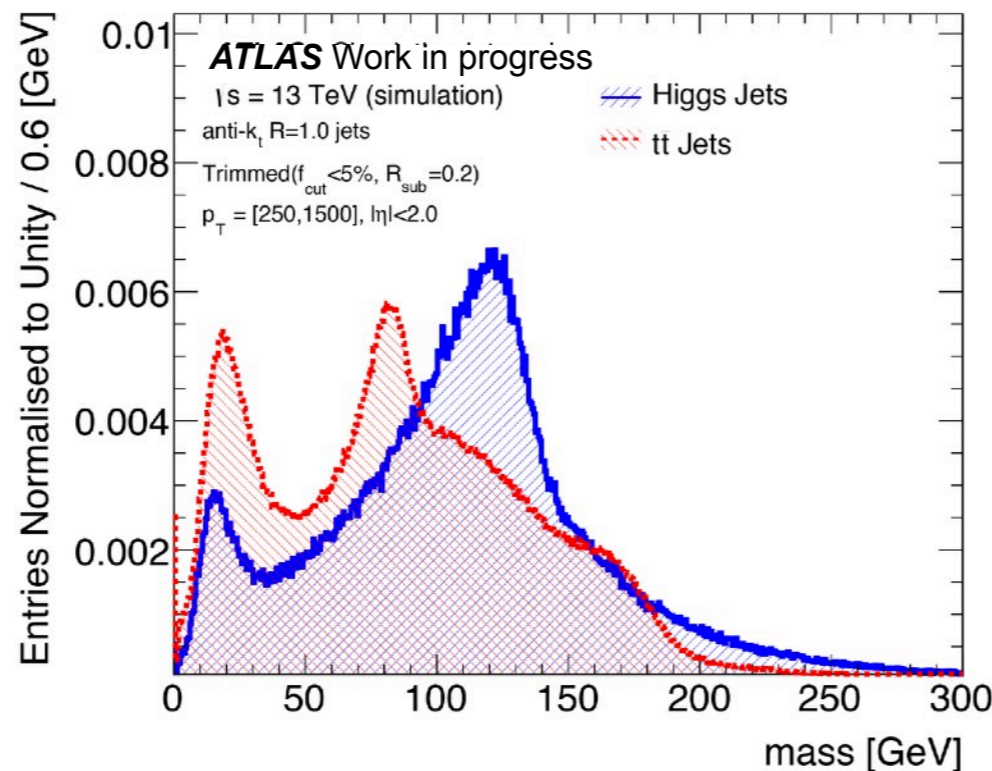


Signal



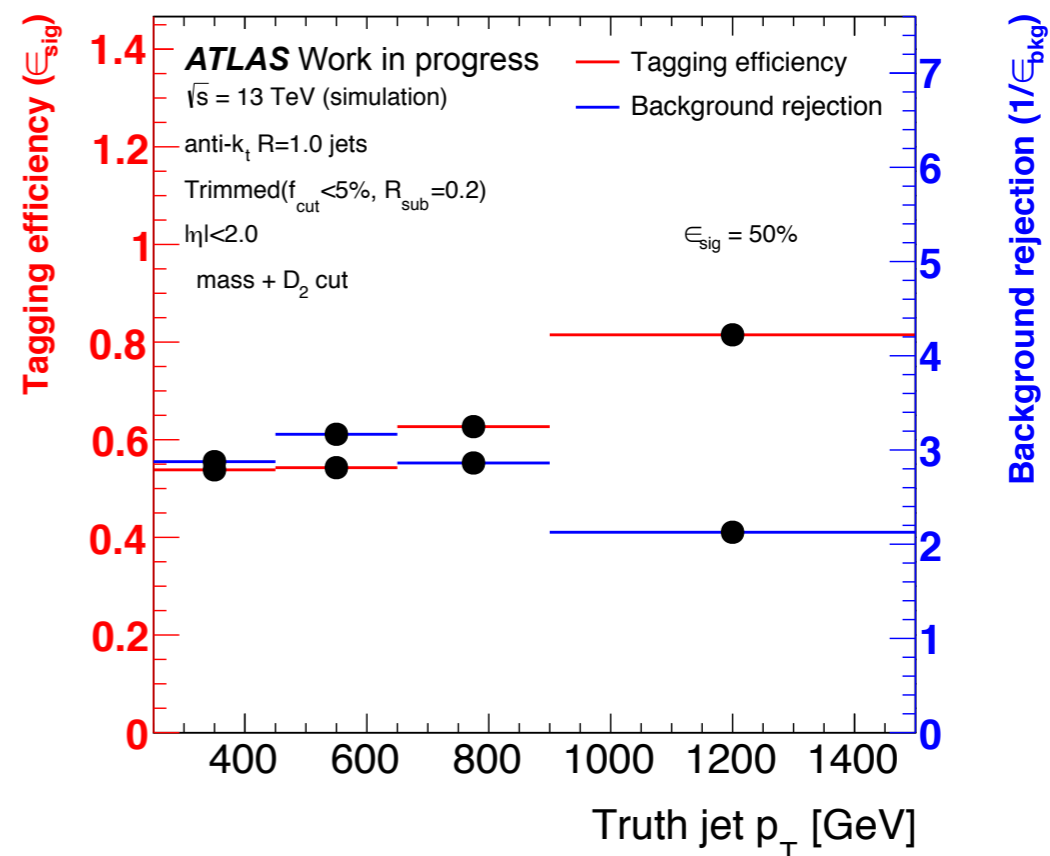
Higgs Tagging

Substructure variables
in the algorithm



Performances

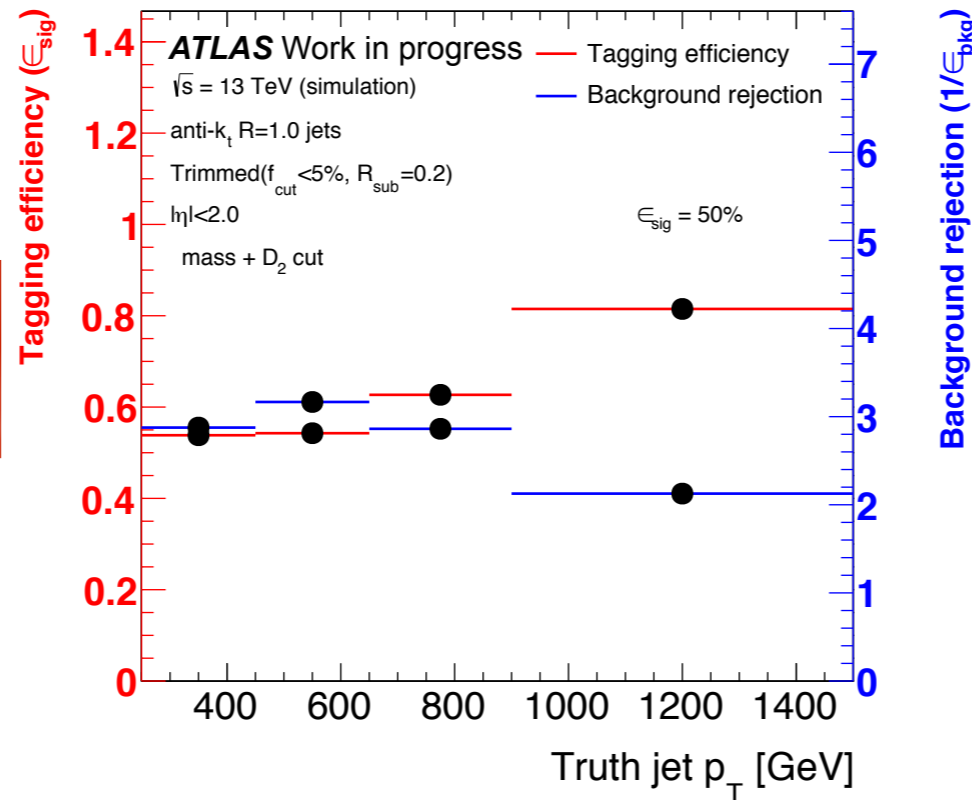
- Signal efficiency on ttH and background rejection on tt;
- **only one working point**: 50% signal efficiency.



Higgs Tagging performances

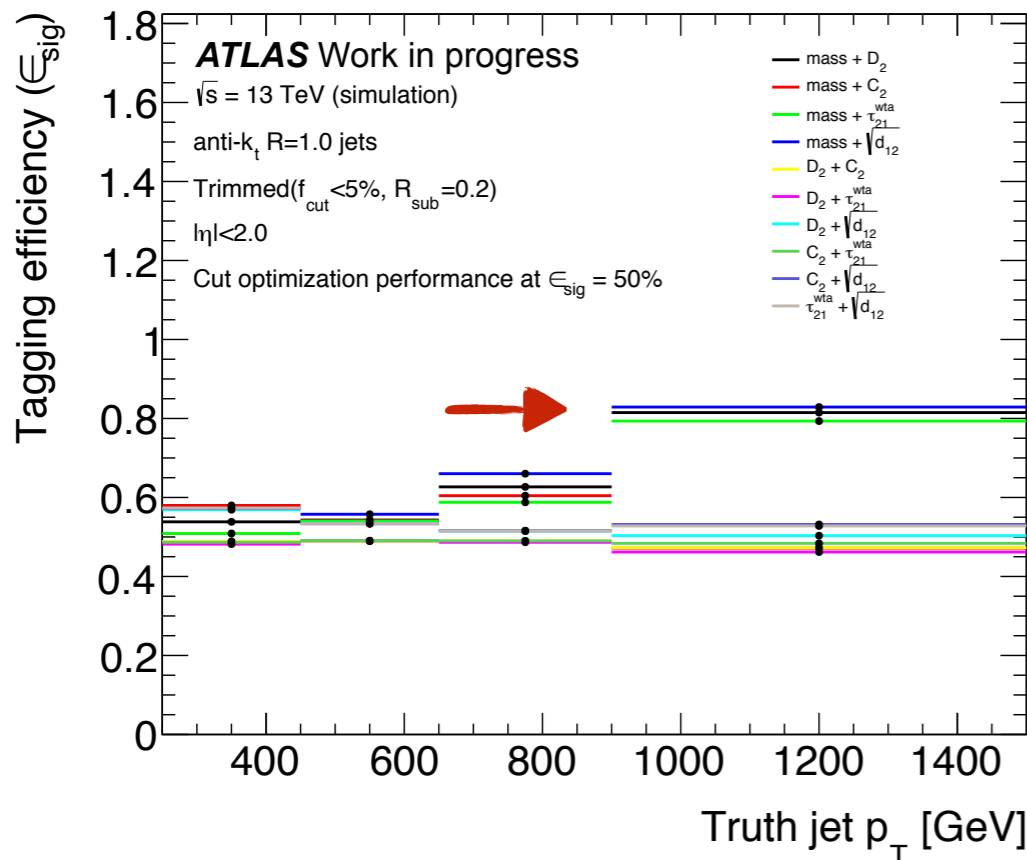


Aim: **discriminate ttH from tt.**

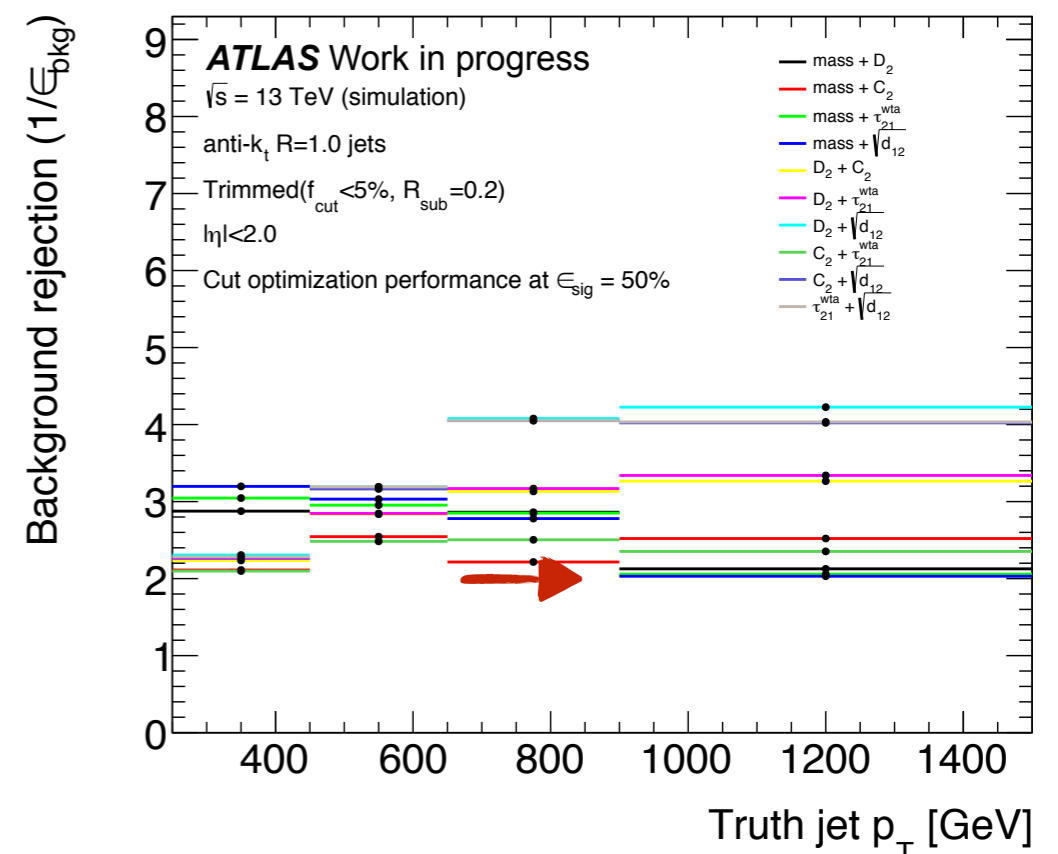


o Different variables combinations studied:

- correlations, cuts, signal efficiencies and background rejections;
- **m-D₂** seems the best choice (slightly better than **m-τ₂₁**).



Only one working point (50%).



MultiVariate Analysis



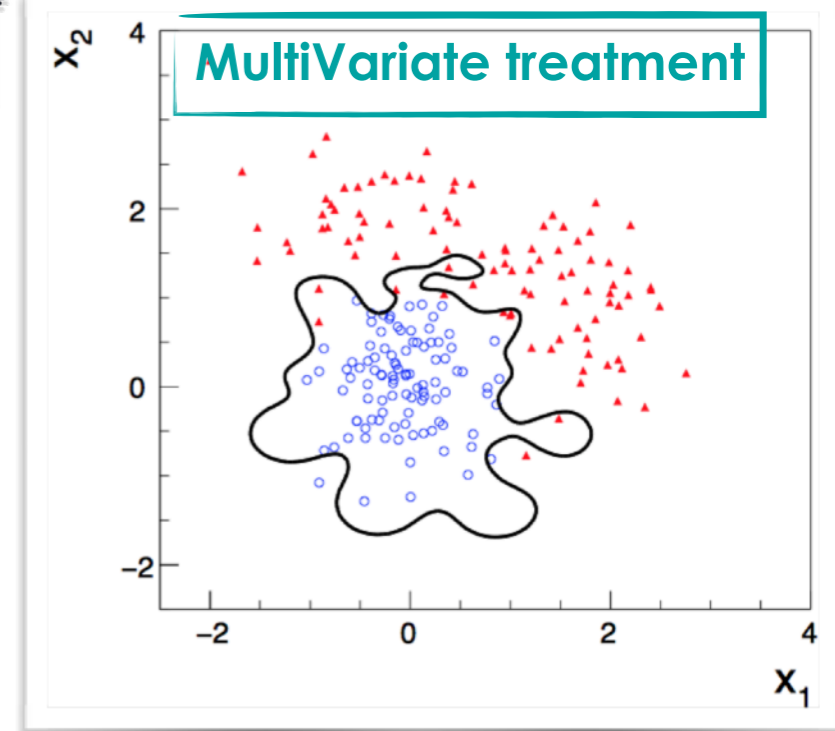
Problem

- Analysis aim: to identify **events** that are both **rare** and **overwhelmed** by a wide variety of processes that mimic the signal.
- Conventional approach by using cuts on individual kinematic variables **far from be optimal!**



Solution: MultiVariate Analysis (MVA)

1. choice of **set of variables**, characterising an event;
2. application of **non-linear cuts** on signal and background samples;
3. define a function (**classifier**) that, using the **discriminating variables**, is able to identify each event of the real data belonging to the signal or to the background category.



The algorithm "**learns**" signal and background characteristics (**training**) and assigns a weight to each event (~ probability that event is signal or background).

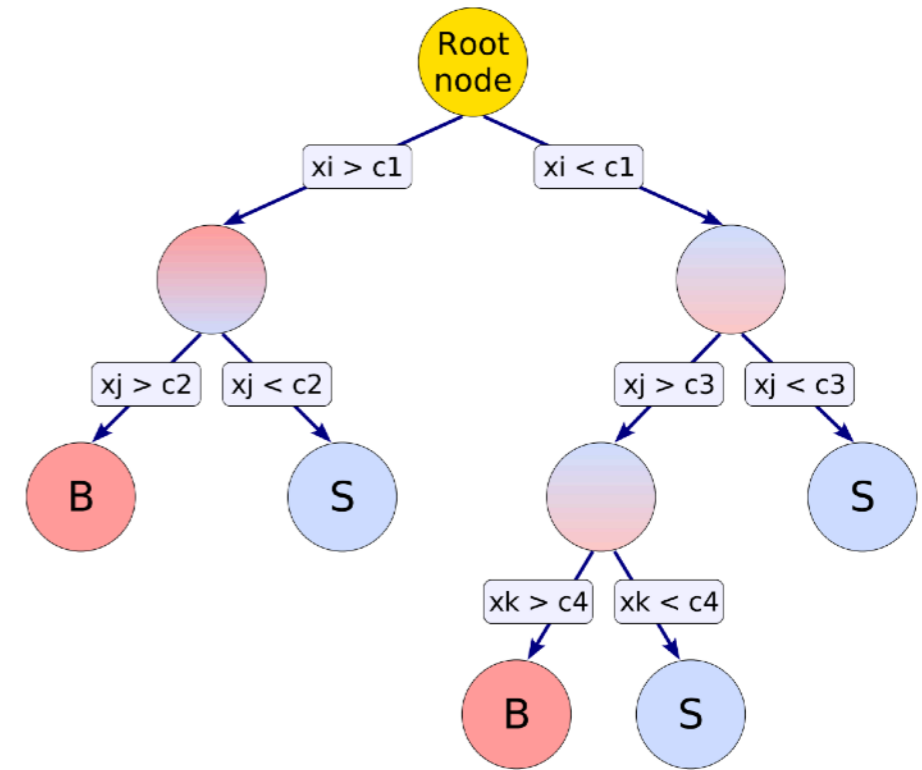
Many different algorithms available (Neural Networks, Boosted Decision Tree, Likelihood, ...).

MVA in the ttH channel: boosted



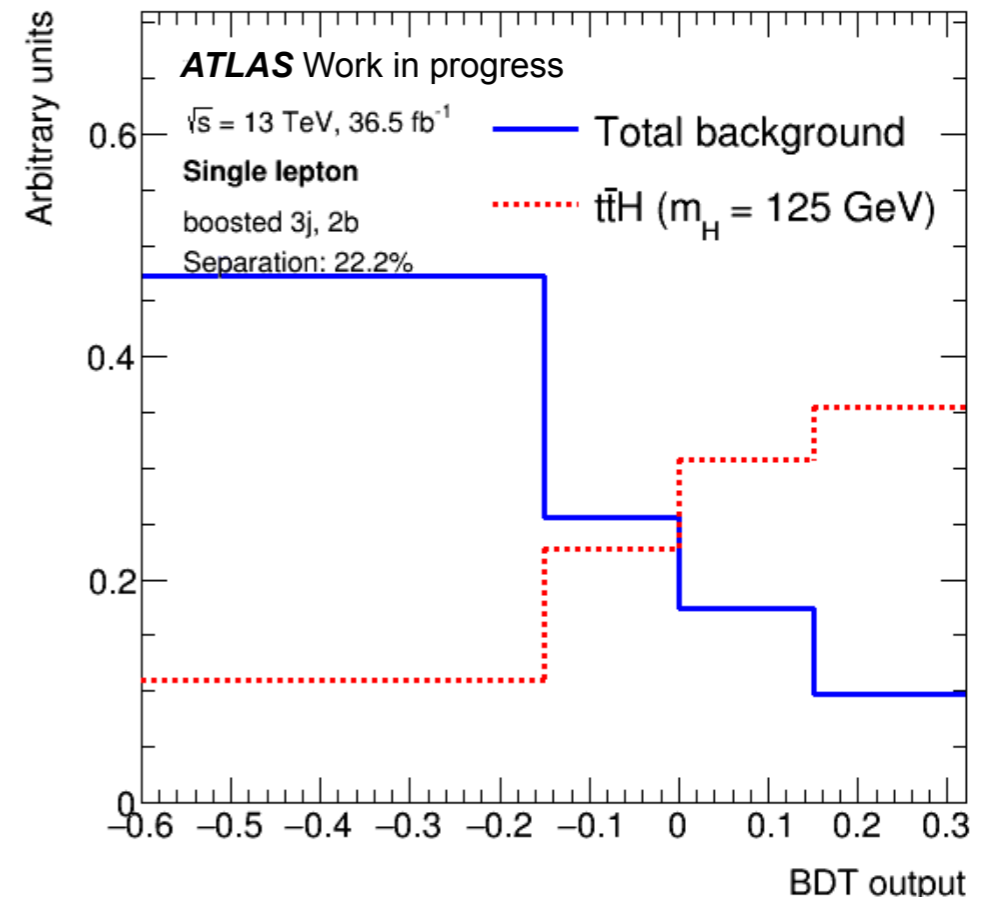
Boosted Decision Tree (BDT)

- **Decision Tree** = **sequence of binary splits** applied to the data, using discriminating variables.
- In order to improve the performance of the algorithm, a “forest” of **binary tree structured classifier** is considered.
- The **final leaves are labelled as signal or background**, depending on the majority of events in the respective node.



Procedure in the boosted channel

1. Choice of a set of **10 kinematic variables**:
 1. optimised from a large set of initial variables, looking at the **separation power**, **importance ranking** and **correlation** amongst them;
 2. **substructure**, **Higgs reconstruction** and **global event topology** related observables;
2. **training** on signal and background events;
3. results: **BDT discrimination output** (gives the best separation between signal and background on the real data as well).



MVA in ttH

- **Separation:** $\langle S^2 \rangle = \frac{1}{2} \int \frac{(\hat{y}_S(y) - \hat{y}_B(y))^2}{\hat{y}_S(y) + \hat{y}_B(y)} dy$
 - y_S and y_B are the signal and background probability density functions of y , respectively;
 - zero for identical signal and background shapes and 1 for shapes with no overlap.

- **Correlation:** $\rho(X, Y) = \frac{\text{cov}(X, Y)}{\sigma_X \sigma_Y}$
 - two random variables X and Y ;
 - cov is the covariance and $\sigma(X)$ ($\sigma(Y)$) is the variance of X (Y).

- **Importance ranking:**
 - by evaluating the number of times the variables are used to split decision tree nodes;
 - by weighting each split occurrence (by using the same variable) by the separation achieved and by the number of events in the node.

Signal measurement technique



Ingredients

- **BDT** distributions in SRs;
- H_T ($= \sum_i p_{Ti}$) distributions in CRs;
- **P** depends on estimated number of events in each bin (function of μ);
- set of parameters to model the systematics uncertainties (**Nuisance Parameters**);
- **hypothesis**: S+B ($\mu = 1$) or only B ($\mu = 0$).

Recipe

- In order to **test for signal presence** in the channel:
1. build a **likelihood** as a product of P terms over all the bins of the distributions;
 2. perform a **fit** in the signal and control regions;
 3. find a best-fit value of the **signal strength** $\mu = \sigma / \sigma_{SM}$;
 4. put a **upper limit on μ @ 95% CL**.

Systematics included:

- luminosity (4.1% for 2015+2016);
- JES and JER;
- Jet Flavour Tagging;
- Light leptons;
- Large-R jets;
- Signal modelling;
- Background modelling.

Likelihood and test statistic



○ Likelihood function:

- defined as the product of Poisson probabilities for all bins:

$$\mathcal{L}(\mu, \theta) = \prod_{j=1}^N \frac{(\mu s_j + b_j)^{n_j}}{n_j!} e^{-(\mu s_j + b_j)} \prod_{k=1}^M \frac{u_k^{m_k}}{m_k!} e^{-u_k}$$

$$s_i = s_{tot} \int_{\text{bin } i} f_s(x; \theta_s) dx$$

$$b_i = b_{tot} \int_{\text{bin } i} f_b(x; \theta_b) dx$$

- To test a hypothesized value of μ , the **profile likelihood ratio** is considered: $\lambda(\mu) = \frac{\mathcal{L}(\mu, \hat{\theta})}{\mathcal{L}(\hat{\mu}, \hat{\theta})}$

○ Test statistic q_μ :

- for the purpose of establishing an upper limit on the strength parameter μ , it is defined as

$$q_\mu = \begin{cases} 0, & \mu < \hat{\mu} \\ -2 \ln \lambda(\mu), & \mu \geq \hat{\mu} \end{cases}$$

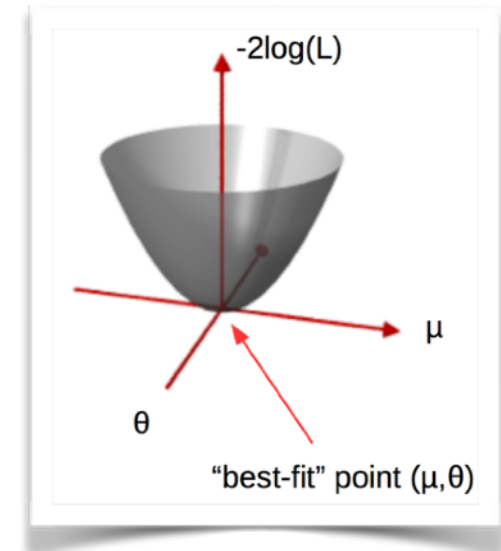
- Higher values of q_μ represent greater incompatibility between the data and the hypothesized value of μ .

○ P-value:

- quantifies the level of agreement between the data and the hypothesized μ .

$$p_\mu = \int_{q_{\mu, obs}}^{\infty} f(q_\mu | \mu) dq_\mu$$

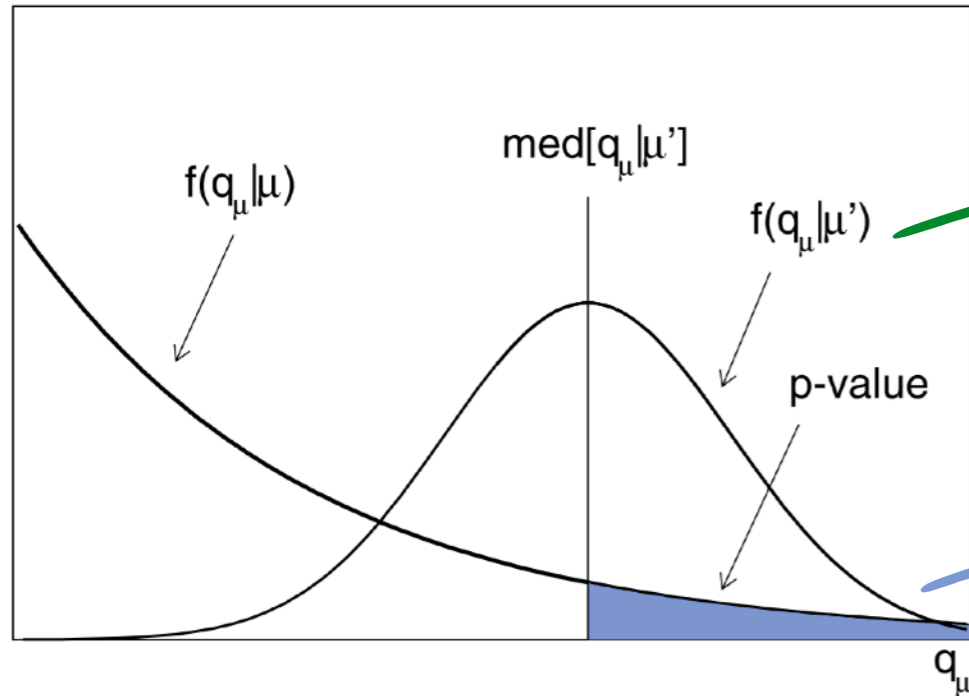
- the value of μ , for which the median p-value is equal to 0.05, gives the median upper limit on μ at 95% confidence level.



Likelihood and test statistic



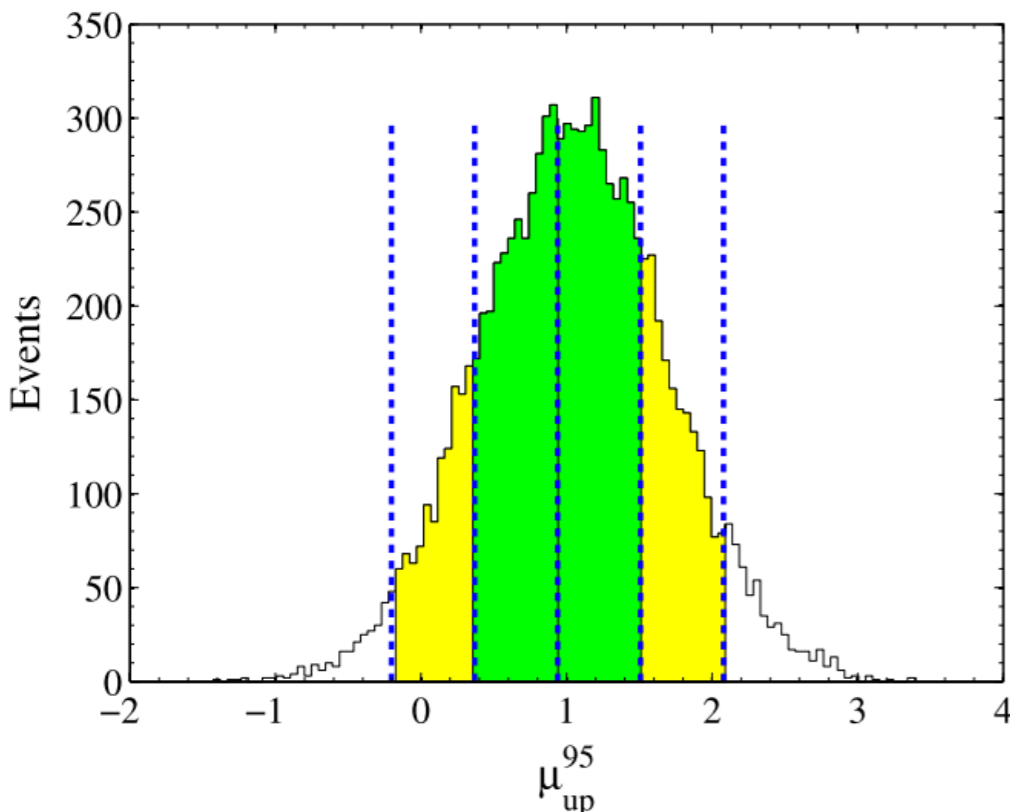
pdf for q_μ assuming both a strength parameter μ and a different value μ'



$f(q_\mu | \mu')$ is shifted to **higher value of q_μ** ,
corresponding on average to **lower p-values**

The **sensitivity of an experiment** can be characterised
by giving the **p-value corresponding to the median q_μ**
assuming the alternative value μ'

The upper limit on μ at a confidence level $CL=1-\alpha$ is the value of μ for which the p-value is $p_\mu = \alpha$.



By simulating the experiment many times with Monte Carlo,
it is possible to obtain a histogram of the upper limits on μ at 95% CL.

The $\pm 1\sigma$ and $\pm 2\sigma$ error bands are obtained
from the MC pseudo-experiments.

The **vertical lines** indicate the error bands as estimated
directly without Monte Carlo simulation.

CL_s method

o Modified Frequentist CL_s method:

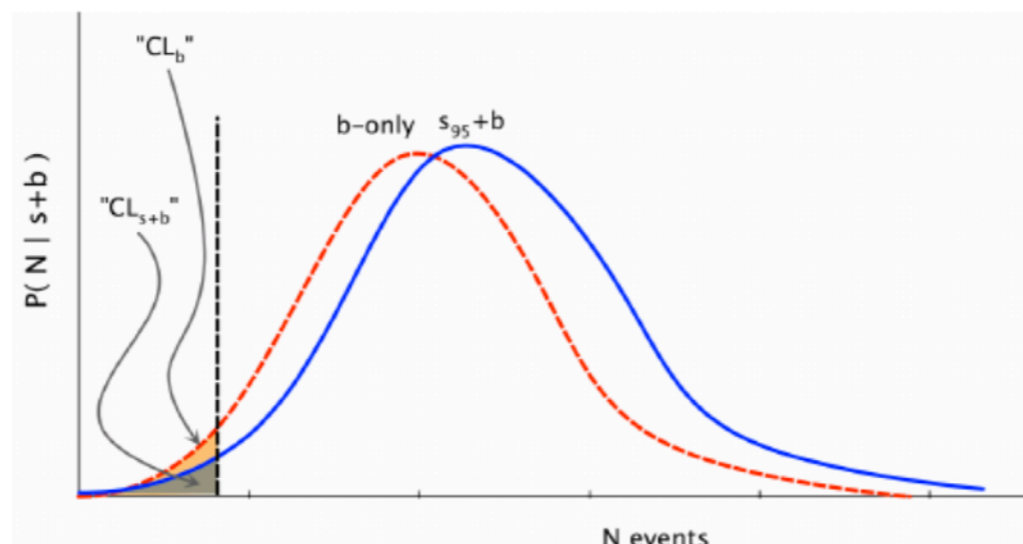
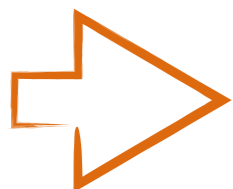
- confidence level for **excluding the possibility of signal on top of background** (the s+b hypothesis):

$$\alpha_{s+b} = P_{s+b}(q_{\mu} \leq q_{\mu,obs})$$

- probability**, assuming the presence of both signal and background at their hypothesized levels, **that the test statistic would be less than or equal to that observed in the data**;
- confidence level for the background alone:

$$\alpha_b = P_b(q_{\mu} \leq q_{\mu,obs})$$

- probability assumes the presence of the background only. This confidence level has been suggested to quantify the confidence of a potential discovery, as it expresses the **probability that background processes would give a number of events smaller than or equal to the number of observed candidates**.



$$CL_s = \alpha_{s+b} / \alpha_b$$