

TRANSVERSITY 2017

5th International Workshop on Transverse Polarization Phenomena in Hard Processes

INFN - Laboratori Nazionali di Frascati, Frascati (Italy)
December 11-15, 2017

**First extraction of
Transversity
from a global fit**

Marco Radici
INFN - Pavia



in collaboration with
A. Bacchetta (Univ. Pavia)

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<http://www.lnf.infn.it/conference/transversity2017/>



the first workshop on Transversity: ECT* 2004

excerpt from CERN Courier **44** n.8 (2004) 51

- organizers:
- E. De Sanctis
 - W.-D. Novak
 - M. Radici
 - G. van der Steenhoven



the workshop of the famous Trento Conventions

Bacchetta et al., P.R. D70 (04) 117504

CONFERENCE

The Transversity Council of Trento at the ECT* (2004)

In a recent workshop at the ECT* in Trento on New Developments in Nucleon Spin Structure memories of the famous Council of Trento (1530) were revived.

During workshops experts get together to present the outcome of recent work, confront and discuss (new) ideas, get inspiration for further work, and incidentally start new collaborations. However, sometimes the conditions are so favorable that all workshop activities seem to be oriented towards a unique common goal. Each participant feels like being a member of one team cooperating to accomplish a well defined goal.

The latter feeling occurred during the International Workshop on *Transversity: New Developments in Nucleon Spin Structure* in June 2004 that brought together some 40 leading experimental and theoretical physicists in the field of nucleon spin structure at the European Center for Theoretical Physics (ECT*). The ECT* is located in the beautiful recently renovated Villa Tambosi in Villazzano, which is a nice suburb in the hills above Trento, Italy.

At the workshop many very interesting talks were presented by renown experts (among them M. Anselmino, J. Collins, M. Diehl, N.C.R. Makins, C.A. Miller, P.J.G. Mulders), supplemented by shorter -but not less inspiring- talks of PhD students and postdocs. The talks illustrated and substantiated the rapid developments in the new field of transverse spin physics. In fact, the results presented were so encouraging that the spontaneous idea emerged to devote part of the scheduled (and unscheduled) discussion time to the preparation of a document, soon christened *The Trento Convention*, containing all relevant notations and conventions that are crucial to achieve further progress in this field.

Such a document, which is now well under way, will soon be submitted to the e-print archives. It has been set up by a few representatives (A. Bacchetta and others), but it is virtually co-authored by all the workshop participants. Just like the famous First Vatican Council that took place in Trento almost 500 year ago (1530), the document represents a common frame, and a common language for an unambiguous comparison between theory and experiment. It will be an indispensable tool to boost further developments in this area.

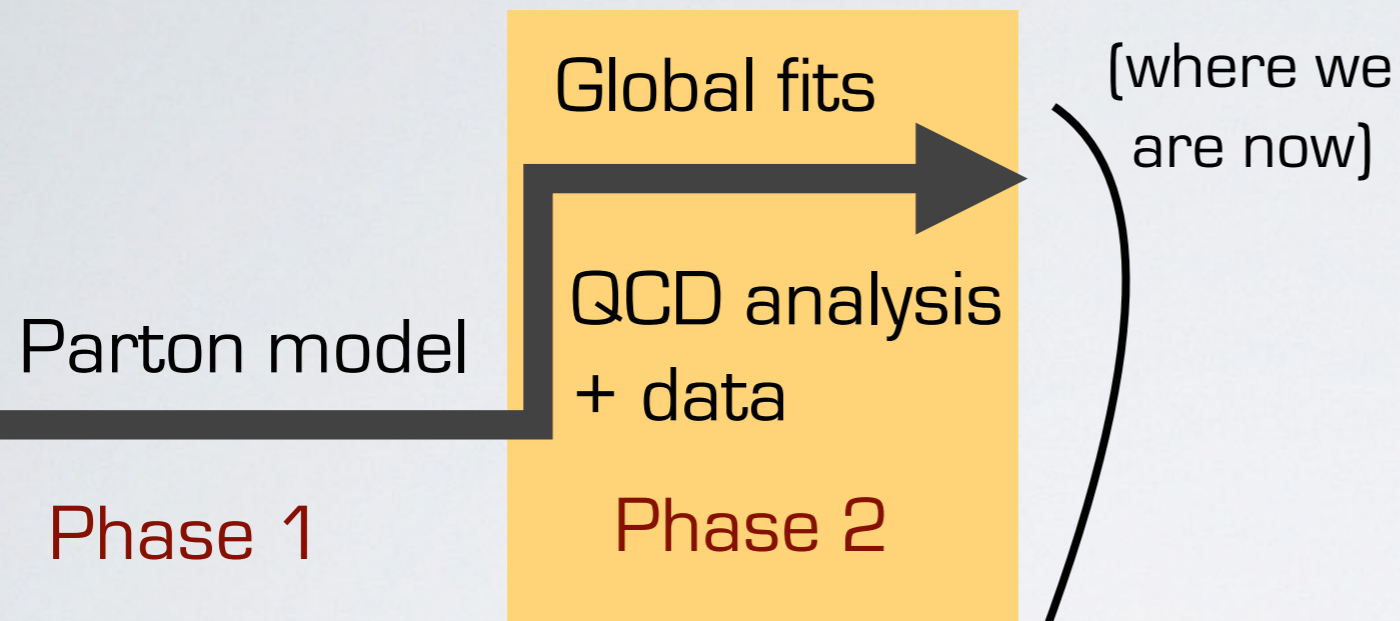
But why is a seemingly technical subject as transverse spin physics so fascinating? From recent cosmological observations (by the WMAP satellite for instance), we know that visible matter represents only a small fraction (4%) of the universe. Of this small percentage only a minute fraction can be attributed to the mass of the quarks, for which -most likely- the Higgs mechanism has to be invoked. In fact, the remaining, *i.e.* by far largest, part of the mass of the visible universe has a dynamical origin. It is the dynamics of the quarks and gluons in the nucleon, as governed by the theory of strong interactions - Quantum Chromodynamics (QCD),



John Collins and Andy Miller discussing spin physics during the workshop dinner.

a phase transition in 3D studies as in PDFs

3D (TMDs)



first global fit of $f_1(x, \mathbf{k}_\perp)$

Bacchetta et al., JHEP 1706 (17) 081

talk by Delcarro

quark polarization

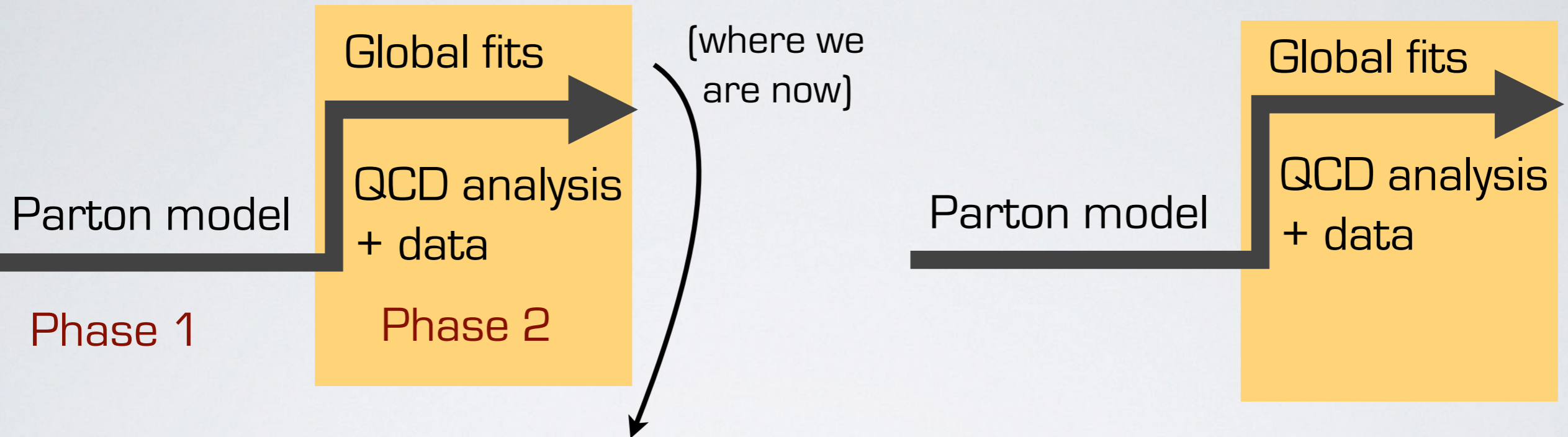
	U	L	T
U	\mathbf{f}_1		h_1^\perp
L		g_{1L}	h_{1L}^\perp
T	f_{1T}^\perp	g_{1T}	$h_1 \quad h_{1T}^\perp$

nucleon polarization

a phase transition in 3D studies as in PDFs

3D (TMDs)

1D (PDFs)



first global fit of $f_1(x, \mathbf{k}_\perp)$

Bacchetta et al., JHEP 1706 (17) 081

talk by Delcarro

quark polarization

	U	L	T
U	\mathbf{f}_1		$h_{1\perp}$
L		\mathbf{g}_{1L}	$h_{1L\perp}$
T	$f_{1T\perp}$	g_{1T}	$h_1 \quad h_{1T\perp}$

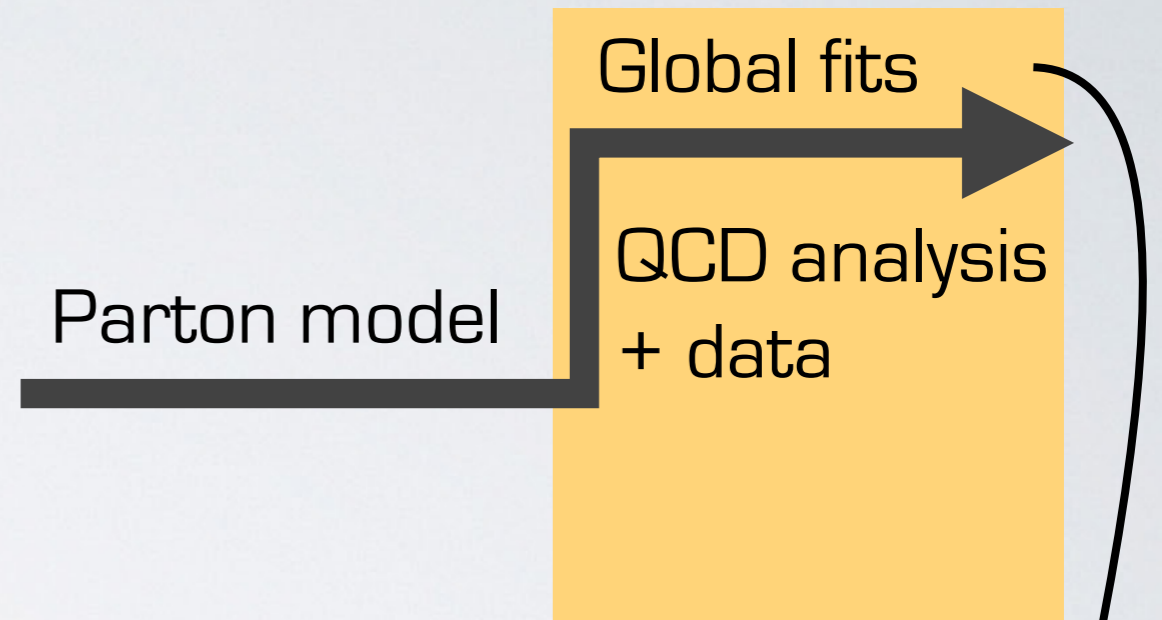
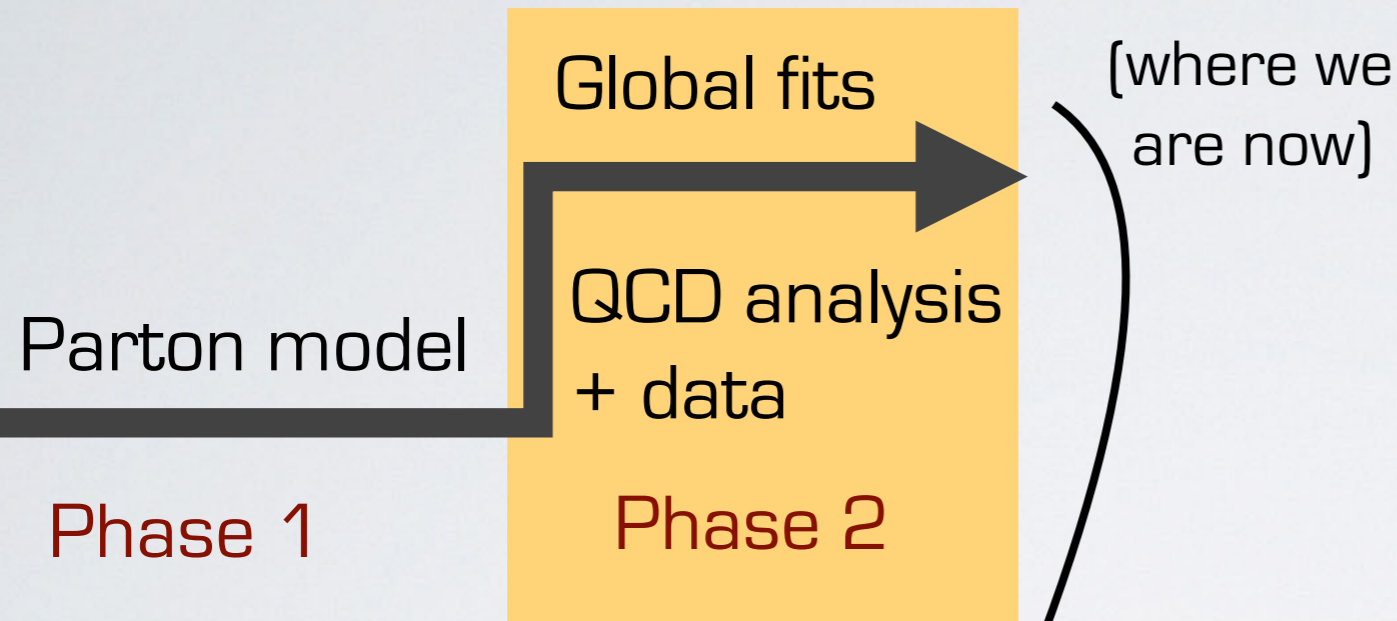
talk by Nocera

for \mathbf{f}_1 and \mathbf{g}_1

a phase transition in 3D studies as in PDFs

3D (TMDs)

1D (PDFs)



first global fit of $f_1(x, \mathbf{k}_\perp)$

Bacchetta et al., JHEP 1706 (17) 081

talk by Delcarro

quark polarization

	U	L	T
U	\mathbf{f}_1		$h_{1\perp}$
L		\mathbf{g}_{1L}	$h_{1L\perp}$
T	$f_{1T\perp}$	g_{1T}	$\mathbf{h}_1 h_{1T\perp}$

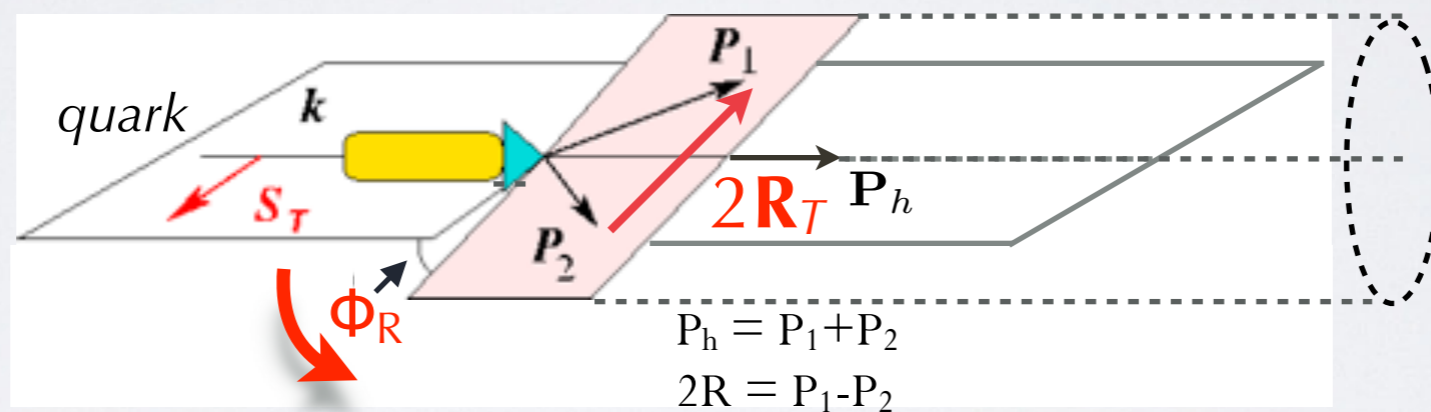
nucleon polarization

talk by Nocera

for \mathbf{f}_1 and \mathbf{g}_1

but for \mathbf{h}_1 ??
(as a **twist-2 PDF**)

extraction from **2-hadron**-inclusive data



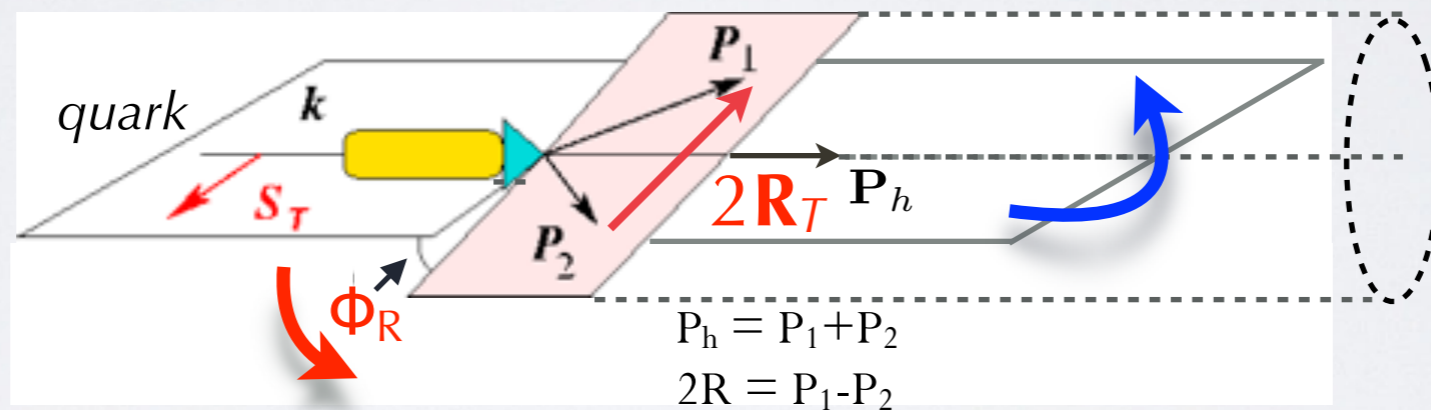
Collins, Heppelman, Ladinsky,
N.P. **B420** (94)

correlation S_T and $R_T \rightarrow$ **azimuthal asymmetry**

extraction from **2-hadron**-inclusive data

$$R_T \ll Q$$

$$H_1^{\triangleleft}$$



survives to
polar
symmetry
($\int d\mathbf{P}_{hT}$)

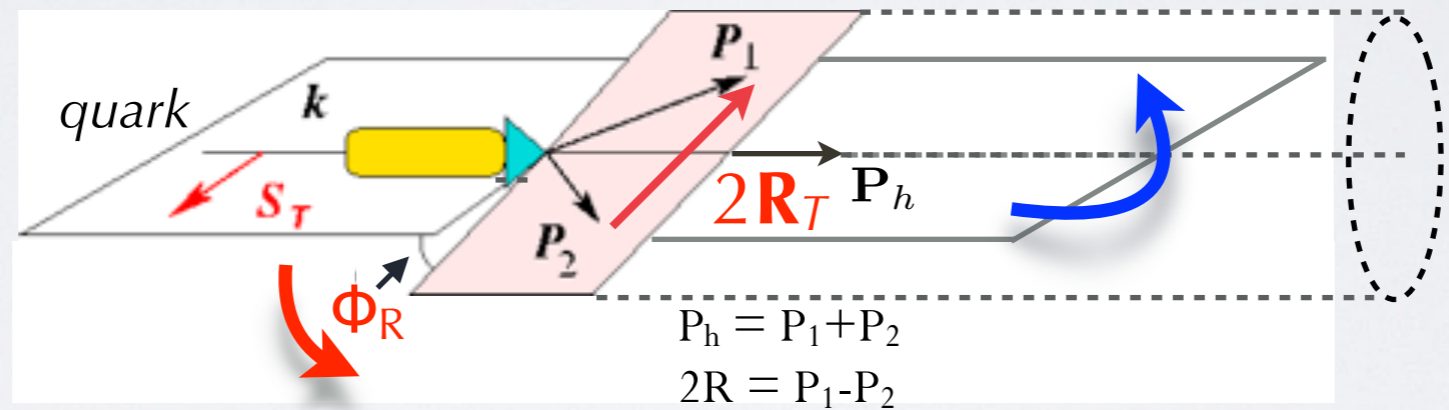
correlation S_T and $R_T \rightarrow$ **azimuthal asymmetry**

extraction from **2-hadron**-inclusive data



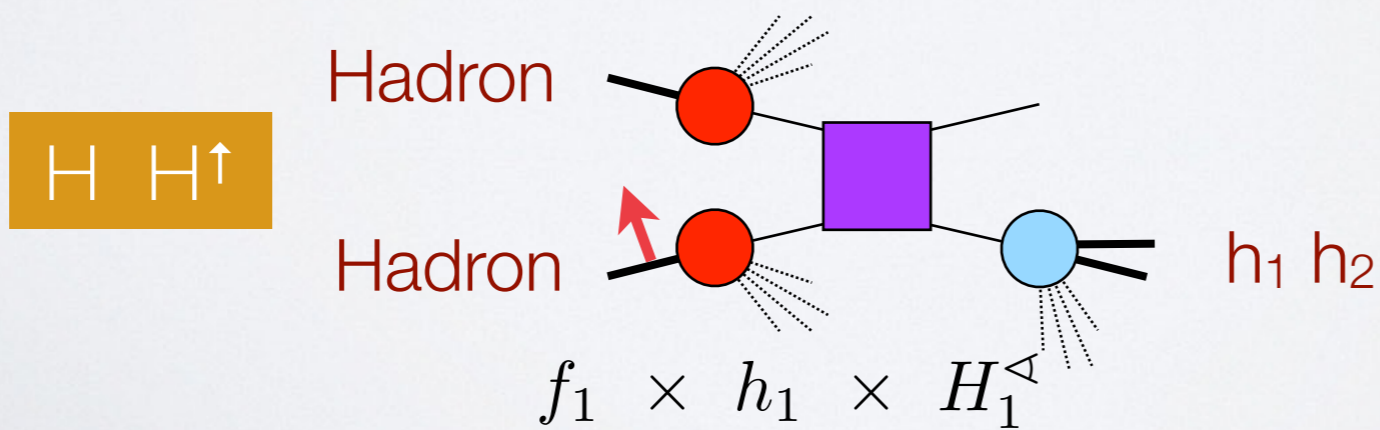
$R_T \ll Q$

H_1^Δ



survives to
**polar
symmetry**
($\int dP_{hT}$)

correlation S_T and $R_T \rightarrow$ **azimuthal asymmetry**

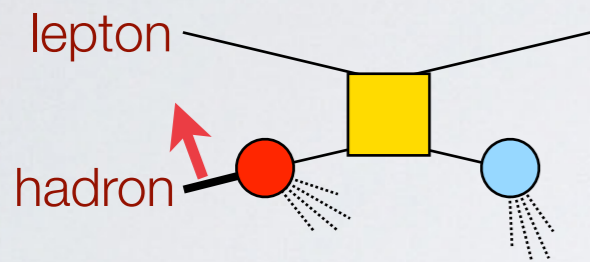
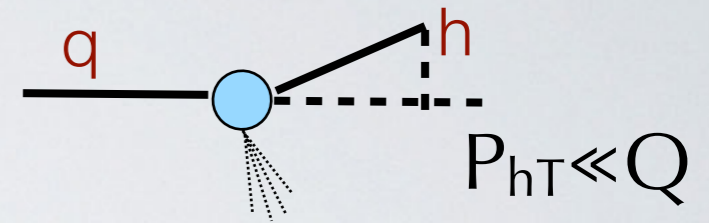
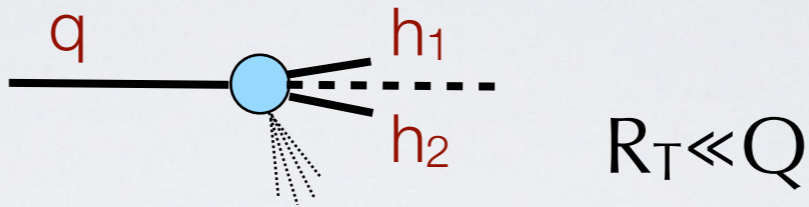


advantage of **2-hadron**-inclusive mechanism

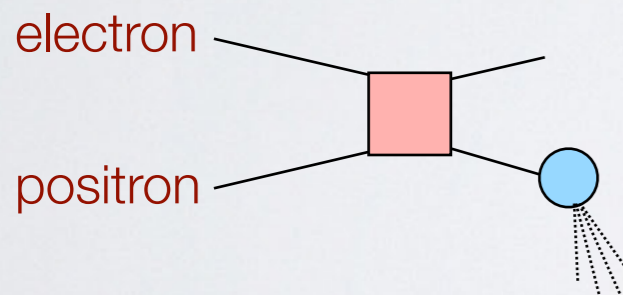
factorized formulas

Dihadron fragmentation
collinear framework

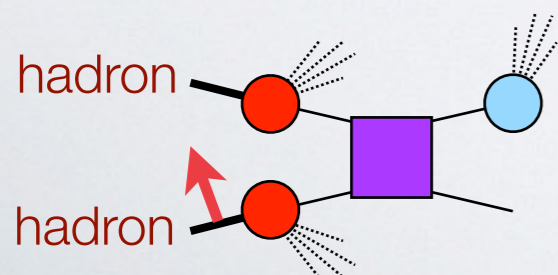
Collins effect
TMD framework



SIDIS



e^+e^-



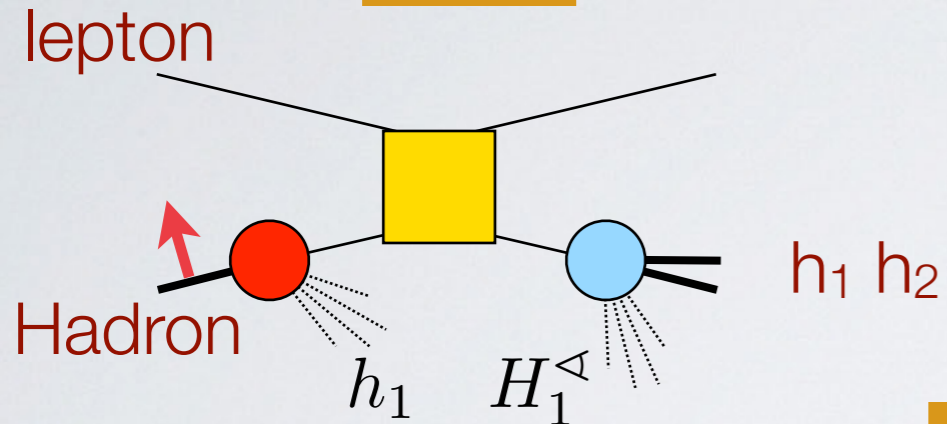
$H H^\dagger$



extraction from **2-hadron**-inclusive data

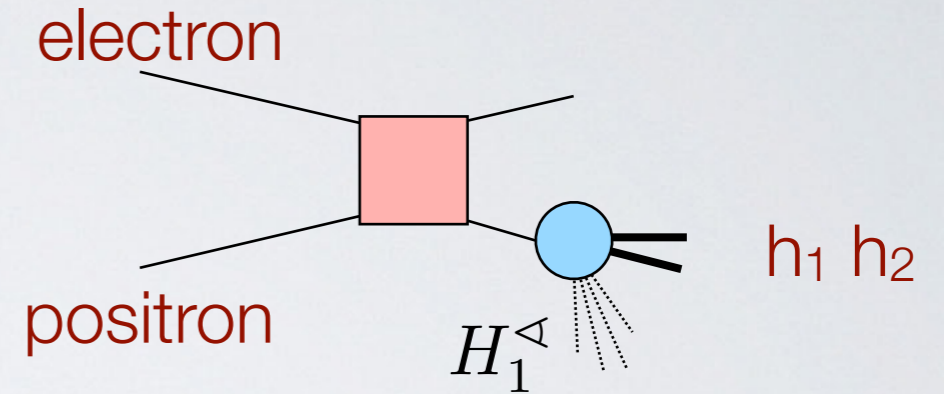
factorized formulas

SIDIS



Jaffe, Jin, Tang, *P.R.L.* **80** (98) 1166
 Radici, Jakob, Bianconi, *P.R.D* **65** (02) 074031
 Bacchetta & Radici, *P.R. D* **67** (03) 094002

e^+e^-

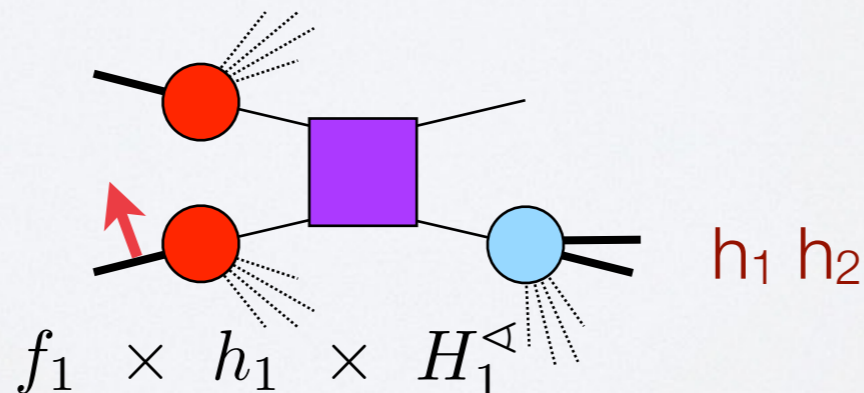


Artru & Collins, *Z.Phys.* **C69** (96) 277
 Boer, Jakob, Radici, *P.R.D* **67** (03) 094003

DGLAP evolution
 connects h_1 & H_1^A
 at different scales

Ceccopieri, Radici, Bacchetta, *P.L.* **B650** (07) 81

H H^\uparrow

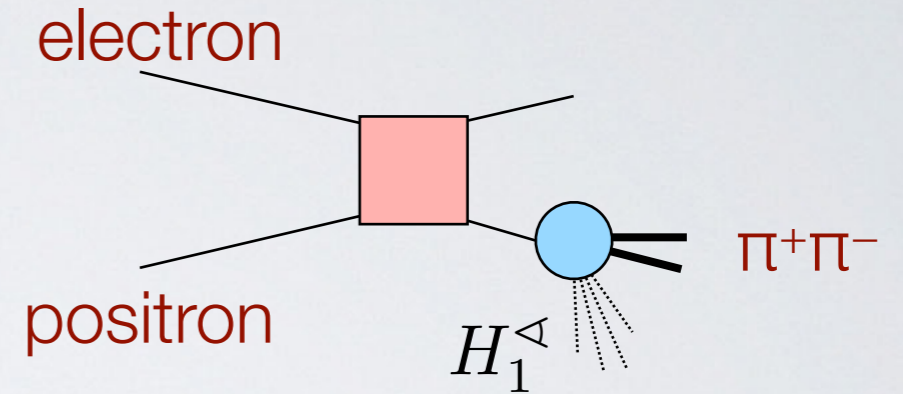
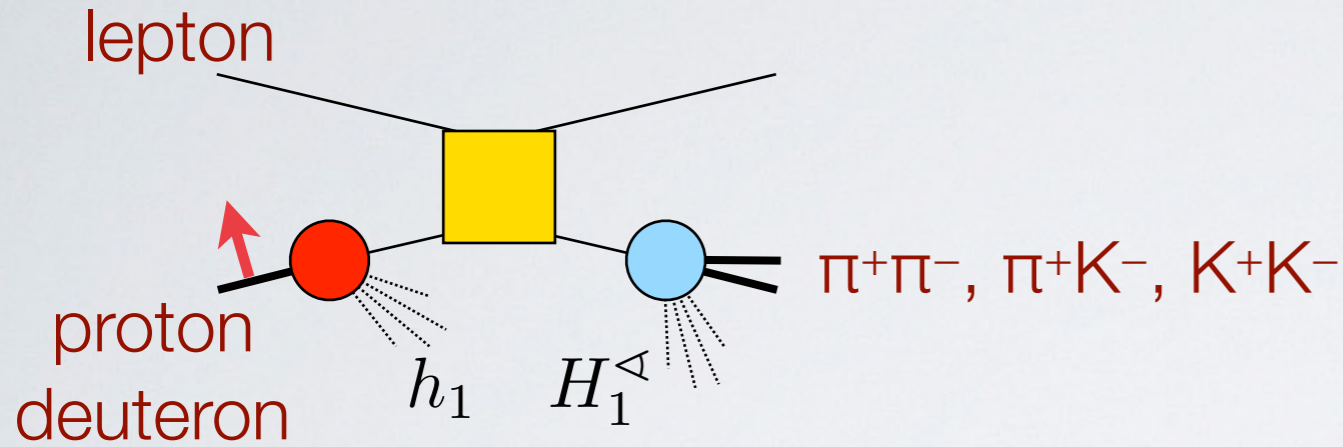


Bacchetta & Radici, *P.R. D* **70** (04) 094032

extraction from **2-hadron**-inclusive data

SIDIS $l H^\uparrow \rightarrow l' (h_1 h_2) X$

$e^+e^- \rightarrow (h_1 h_2) X$



Airapetian et al.,
JHEP **0806** (08) 017

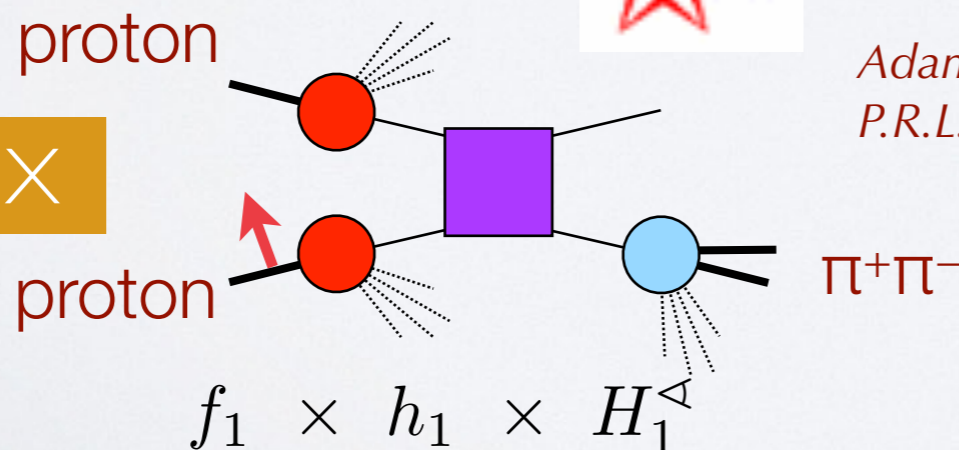


Adolph et al., *P.L.* **B713** (12)
Braun et al., *E.P.J. Web Conf.* **85** (15) 02018



Vossen et al., *P.R.L.* **107** (11) 072004
Seidl et al., *P.R.* **D96** (17) 032005

$H H^\uparrow \rightarrow (h_1 h_2) X$



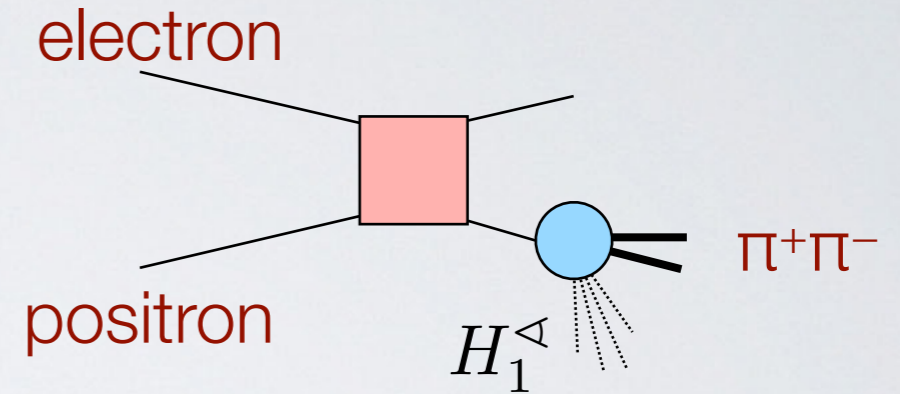
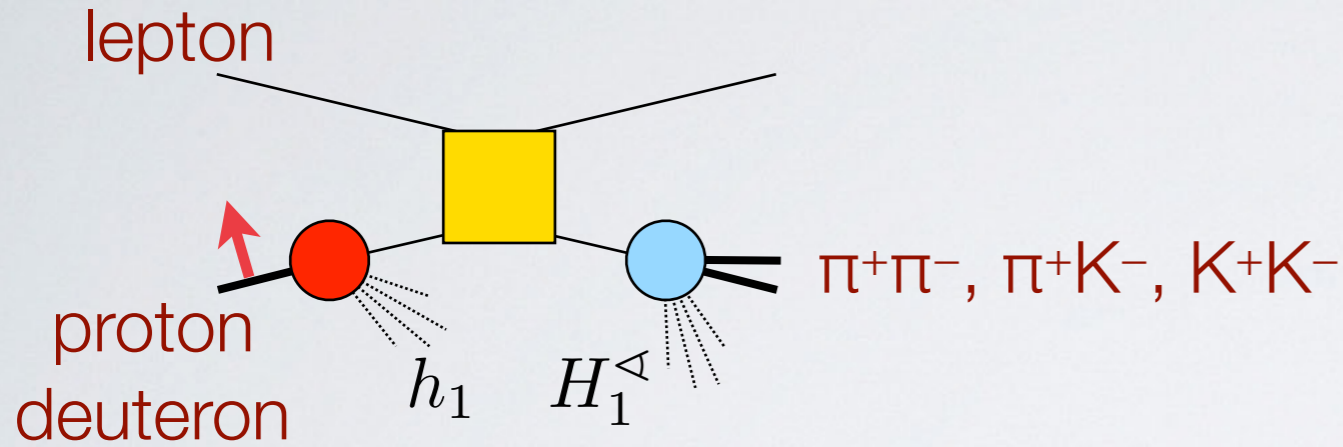
run 2006 (s=200)
Adamczyk et al. (*STAR*),
P.R.L. **115** (2015) 242501

run 2011 (s=500)
Adamczyk et al. (*STAR*),
arXiv:1710.10215

extraction from **2-hadron**-inclusive data

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Airapetian et al.,
JHEP **0806** (08) 017



Adolph et al., *P.L.* **B713** (12)
Braun et al., *E.P.J. Web Conf.* **85** (15) 02018

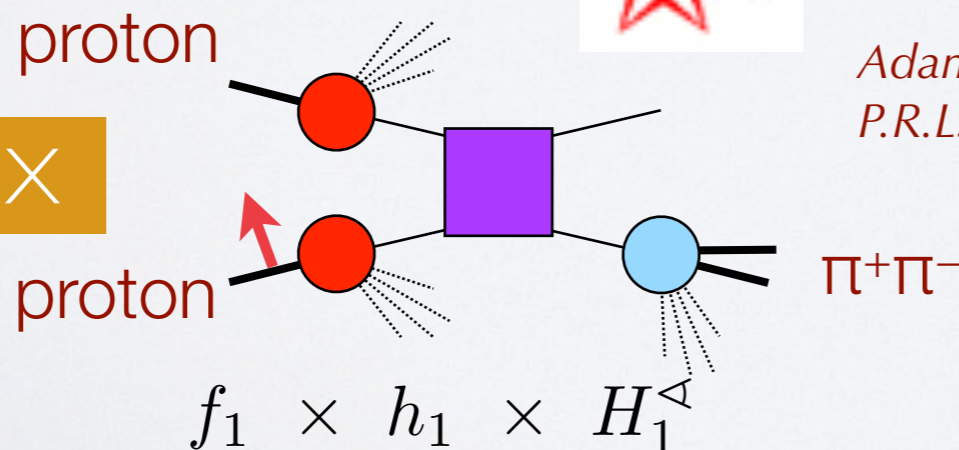


Vossen et al., *P.R.L.* **107** (11) 072004

Seidl et al., *P.R. D***96** (17) 032005

D_1^q from Montecarlo

$H H^\uparrow \rightarrow (h_1 h_2) X$



run 2006

Adamczyk et al. (*STAR*),
P.R.L. **115** (2015) 242501

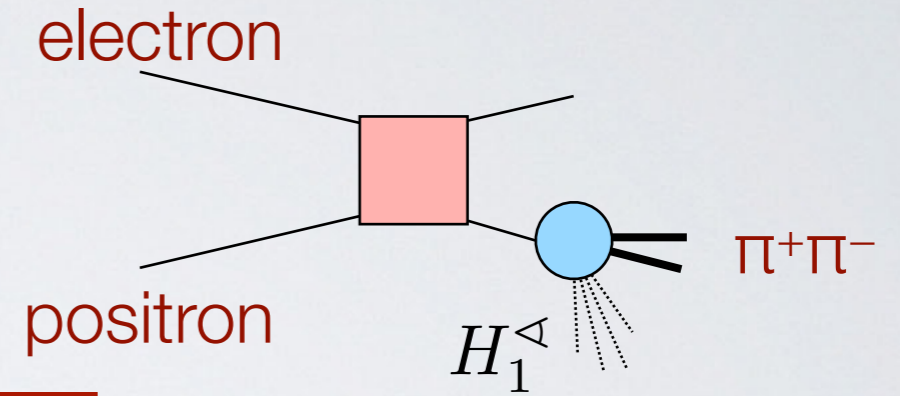
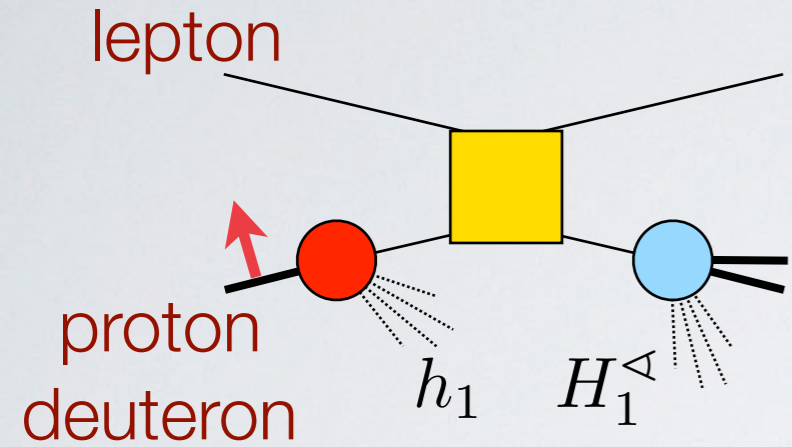
run 2011

Adamczyk et al. (*STAR*),
arXiv:1710.10215

take-away message

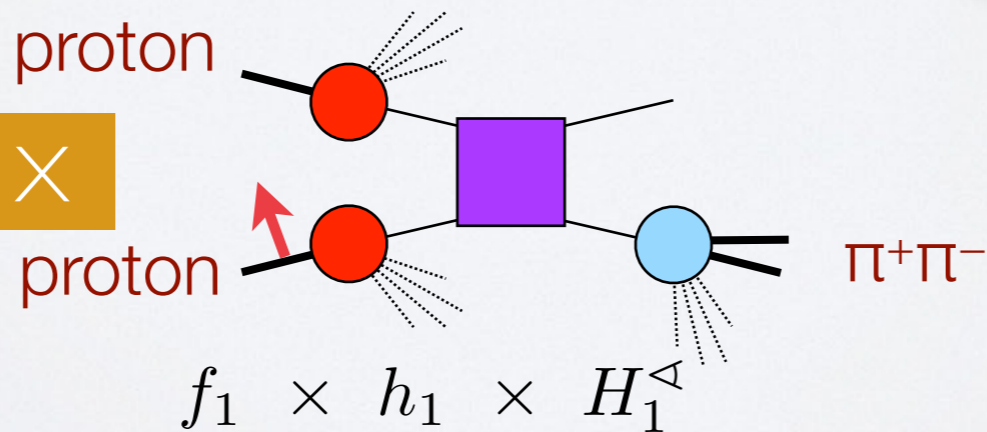
SIDIS $l H^\uparrow \rightarrow l' (h_1 h_2) X$

$e^+e^- \rightarrow (h_1 h_2) X$

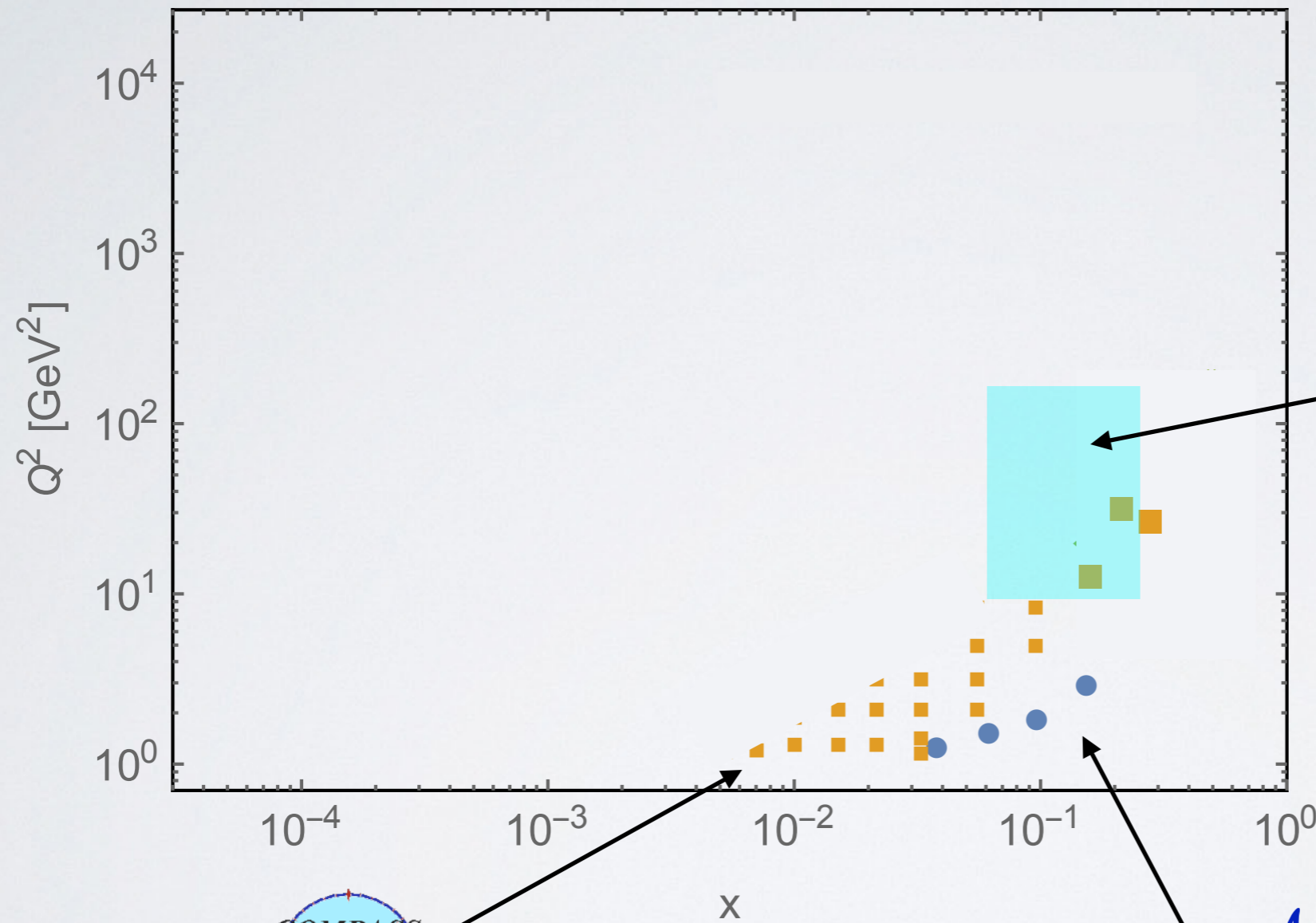


first extraction
of transversity
from a global fit
of these data

$H H^\uparrow \rightarrow (h_1 h_2) X$



the kinematics



run 2006
 $s=200$ GeV²

*Adamczyk et al. (STAR),
P.R.L. **115** (2015) 242501*

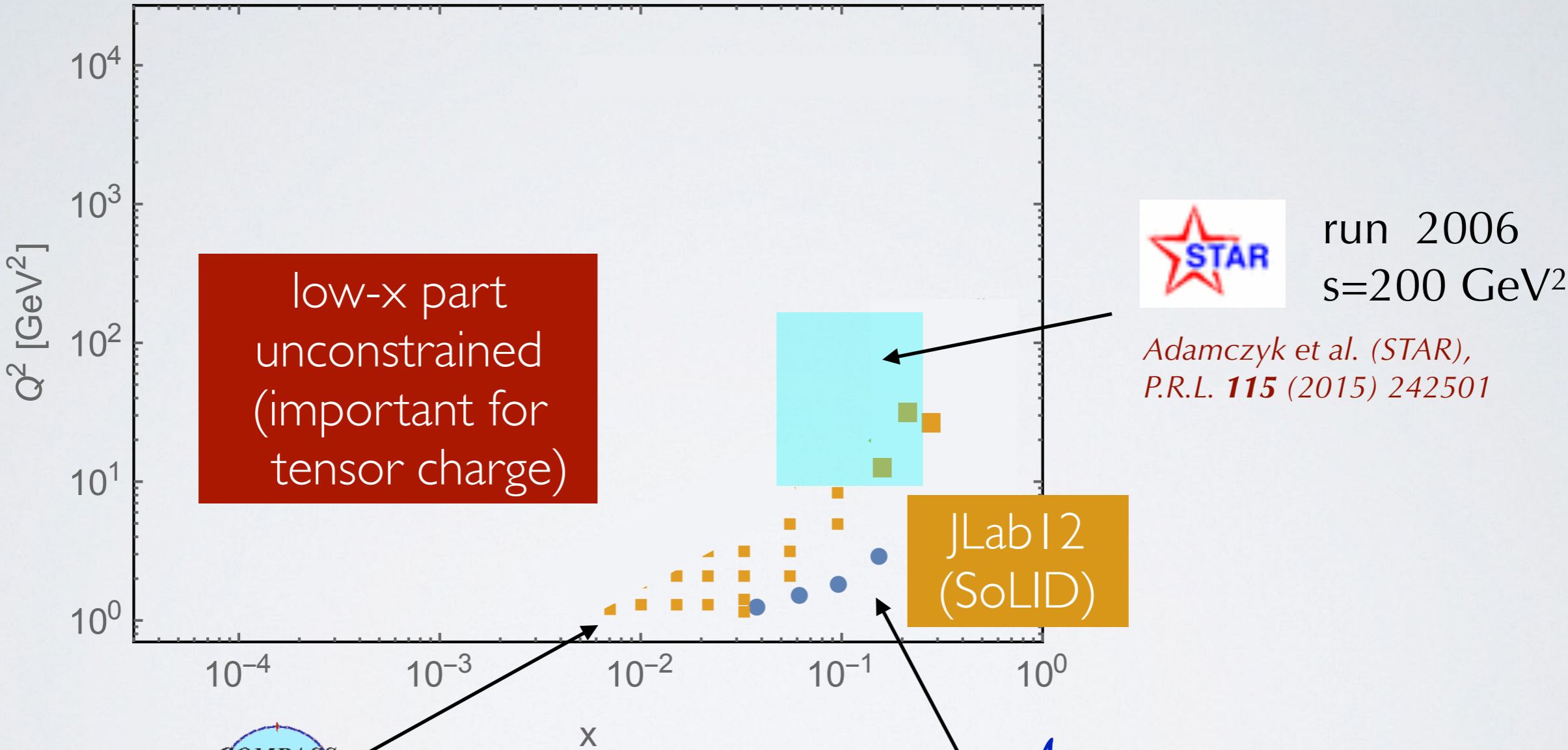


*Adolph et al., P.L. **B713** (12)
Braun et al., E.P.J. Web Conf. **85** (15) 02018*



*Airapetian et al.,
JHEP **0806** (08) 017*

the kinematics



*Adolph et al., P.L. **B713** (12)*
*Braun et al., E.P.J. Web Conf. **85** (15) 02018*

*Adamczyk et al. (STAR), P.R.L. **115** (2015) 242501*

*Airapetian et al., JHEP **0806** (08) 017*

choice of functional form

$$h_1^{qv}(x; Q_0^2) = F(x) \left[\text{SB}^q(x) + \overline{\text{SB}}^{\bar{q}}(x) \right]$$



Soffer Bound

$$2|h_1^q(x, Q^2)| \leq 2 \text{SB}^q(x, Q^2) = |f_1^q(x, Q^2) + g_1^q(x, Q^2)|$$

MSTW08

DSSV

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$$h_1^{qv}(x; Q_0^2) = F(x) \left[\text{SB}^q(x) + \overline{\text{SB}}^{\bar{q}}(x) \right]$$

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MSTW08

DSSV

$$F(x) = \frac{N}{\max_x [|F(x)|]} x^A [1 + B \text{Ceb}_1(x) + C \text{Ceb}_2(x) + D \text{Ceb}_3(x)]$$

$$|N| \leq 1 \Rightarrow |F(x)| \leq 1$$

Ceb_n(x) Chebyshev polynomial

10 fitting parameters

Soffer Bound satisfied at any Q²

choice of functional form

$$h_1^{qv}(x; Q_0^2) = F(x) \left[\text{SB}^q(x) + \overline{\text{SB}}^{\bar{q}}(x) \right]$$

Soffer Bound

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MSTW08 DSSV

$$F(x) = \frac{N}{\max_x [|F(x)|]} x^A [1 + B \text{Ceb}_1(x) + C \text{Ceb}_2(x) + D \text{Ceb}_3(x)]$$

$$|N| \leq 1 \Rightarrow |F(x)| \leq 1$$

Ceb_n(x) Chebyshev polynomial

10 fitting parameters

Soffer Bound satisfied at any Q²

if $\lim_{x \rightarrow 0} x \text{SB}(x) \propto x^{\bar{a}}$ then $A + \bar{a} > 0.3$ grants $\int_0^1 dx h_1^q(x; Q^2) \equiv \delta q(Q^2)$ is finite

this bound drastically constrains the tensor charge

with new functional form, Mellin transform can be computed analytically

choice of functional form

$d\sigma(\eta, M_h, P_T)$ typical cross section for $a+b^\uparrow \rightarrow c^\uparrow+d$ process

$$\frac{d\sigma_{UT}}{d\eta} \propto \int d|\mathbf{P}_T| dM_h \sum_{a,b,c,d} \int \frac{dx_a dx_b}{8\pi^2 \bar{z}} f_1^a(x_a) h_1^b(x_b) \frac{d\hat{\sigma}_{ab^\uparrow \rightarrow c^\uparrow d}}{d\hat{t}} H_1^{\triangleleft c}(\bar{z}, M_h)$$

to be computed thousands times... usual trick: use **Mellin anti-transform**

$$h_1(x, Q^2) = \int_{\mathcal{C}_N} dN x^{-N} h_1^N(Q^2) \quad N \in \mathbb{C}$$

*Stratmann & Vogelsang,
P.R. D64 (01) 114007*

choice of functional form

$d\sigma(\eta, M_h, P_T)$ typical cross section for $a+b \rightarrow c+d$ process

$$\frac{d\sigma_{UT}}{d\eta} \propto \int d|\mathbf{P}_T| dM_h \sum_{a,b,c,d} \int \frac{dx_a dx_b}{8\pi^2 \bar{z}} f_1^a(x_a) h_1^b(x_b) \frac{d\hat{\sigma}_{ab \rightarrow c+d}}{d\hat{t}} H_1^{\triangleleft c}(\bar{z}, M_h)$$

to be computed thousands times... usual trick: use **Mellin anti-transform**

$$h_1(x, Q^2) = \int_{C_N} dN x^{-N} h_1^N(Q^2) \quad N \in \mathbb{C}$$

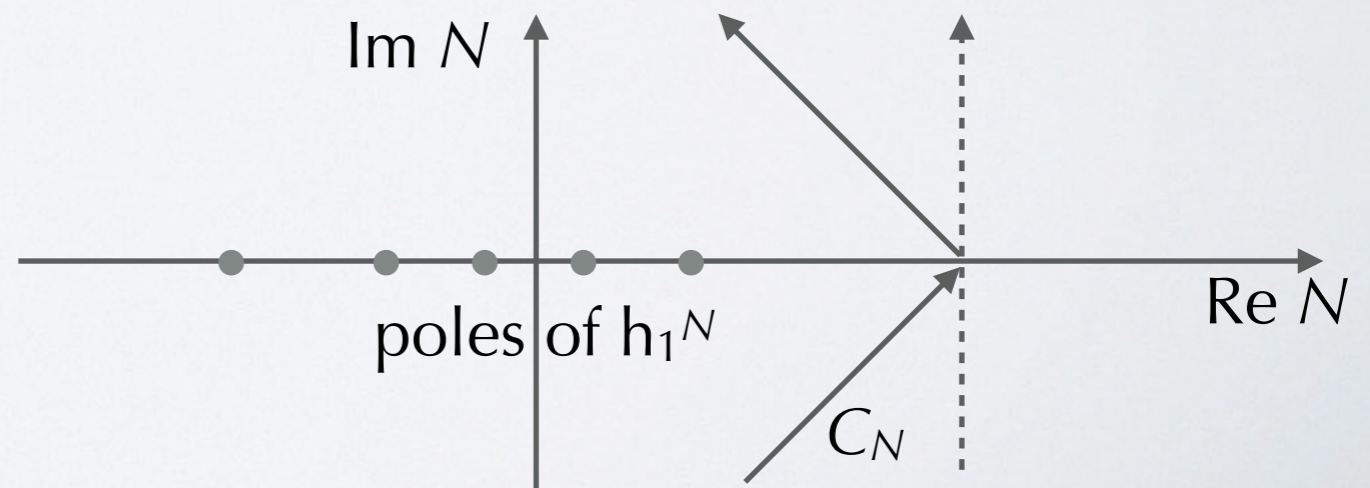
*Stratmann & Vogelsang,
P.R. D64 (01) 114007*

$$\frac{d\sigma_{UT}}{d\eta} \propto \sum_b \int_{C_N} dN \int d|\mathbf{P}_T| h_{1b}^N(P_T^2) \int dM_h \sum_{a,c,d} \int \frac{dx_a dx_b}{8\pi^2 \bar{z}} f_1^a(x_a) x_b^{-N} \frac{d\hat{\sigma}_{ab \rightarrow c+d}}{d\hat{t}} H_1^{\triangleleft c}(\bar{z}, M_h)$$

$F_b(N, \eta, |\mathbf{P}_T|, M_h)$

pre-compute F_b only one time
on contour C_N

this speeds up convergence
and facilitates $\int dN$, provided
that h_1^N is known analytically



theoretical uncertainties

Single-Spin Asymmetry
in p-p[†] collisions

$$A_{UT}(\eta, M_h, P_T) = \frac{d\sigma_{UT}}{d\sigma_0}$$

typical cross section for a+b→c+d process

$$d\sigma_0 \propto \sum_{a,b,c,d} \int \frac{dx_a dx_b}{8\pi^2 \bar{z}} f_1^a(x_a) f_1^b(x_b) \frac{d\hat{\sigma}_{ab \rightarrow cd}}{d\hat{t}} D_1^c(\bar{z}, M_h)$$

quark D_1^q is well constrained by e⁺e⁻ (Montecarlo) but

theoretical uncertainties

Single-Spin Asymmetry
in p-p[†] collisions

$$A_{UT}(\eta, M_h, P_T) = \frac{d\sigma_{UT}}{d\sigma_0}$$

typical cross section for a+b→c+d process

$$d\sigma_0 \propto \sum_{a,b,c,d} \int \frac{dx_a dx_b}{8\pi^2 \bar{z}} f_1^a(x_a) f_1^b(x_b) \frac{d\hat{\sigma}_{ab \rightarrow cd}}{d\hat{t}} D_1^c(\bar{z}, M_h)$$

quark D₁^q is well constrained by e⁺e⁻ (Montecarlo) but

we don't know anything about the gluon D₁^g (e⁺e⁻ doesn't help..)

our choice: compute dσ₀ with D₁^g(Q₀) = $\begin{cases} 0 \\ D_{1^u}(Q_0) / 4 \\ D_{1^u}(Q_0) \end{cases}$

deteriorates our e⁺e⁻ fit as $\chi^2/\text{dof} = \begin{cases} 1.69 & 1.28 \\ 1.81 & 1.37 \\ 2.96 & 2.01 \end{cases}$

background ρ channels

statistical uncertainty: the bootstrap method



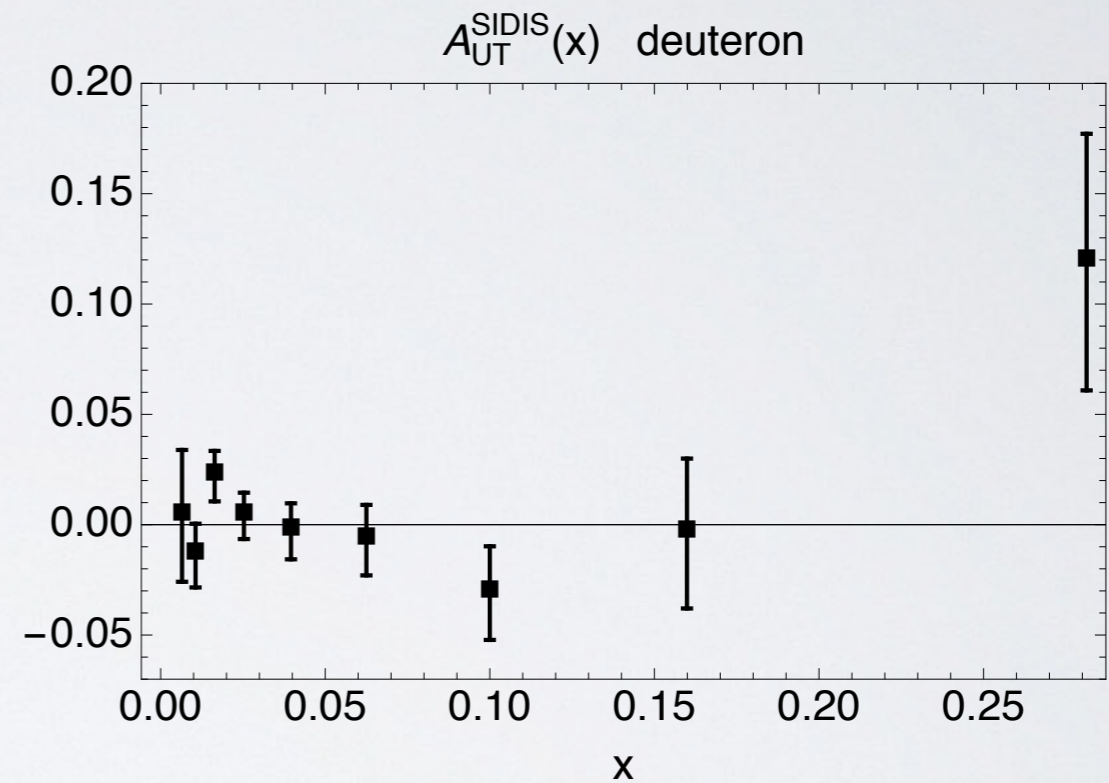
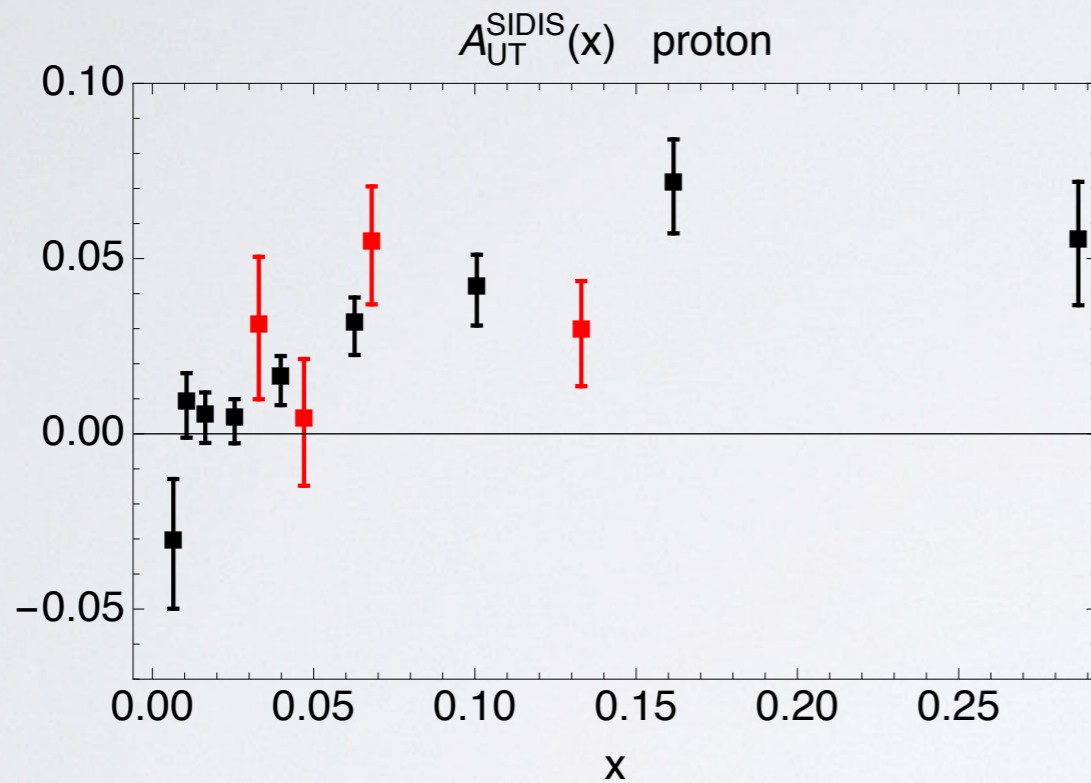
Braun et al., *E.P.J. Web Conf.* **85** (15) 02018



Airapetian et al., *JHEP* **0806** (08) 017



Adolph et al., *P.L.* **B713** (12)



statistical uncertainty: the bootstrap method



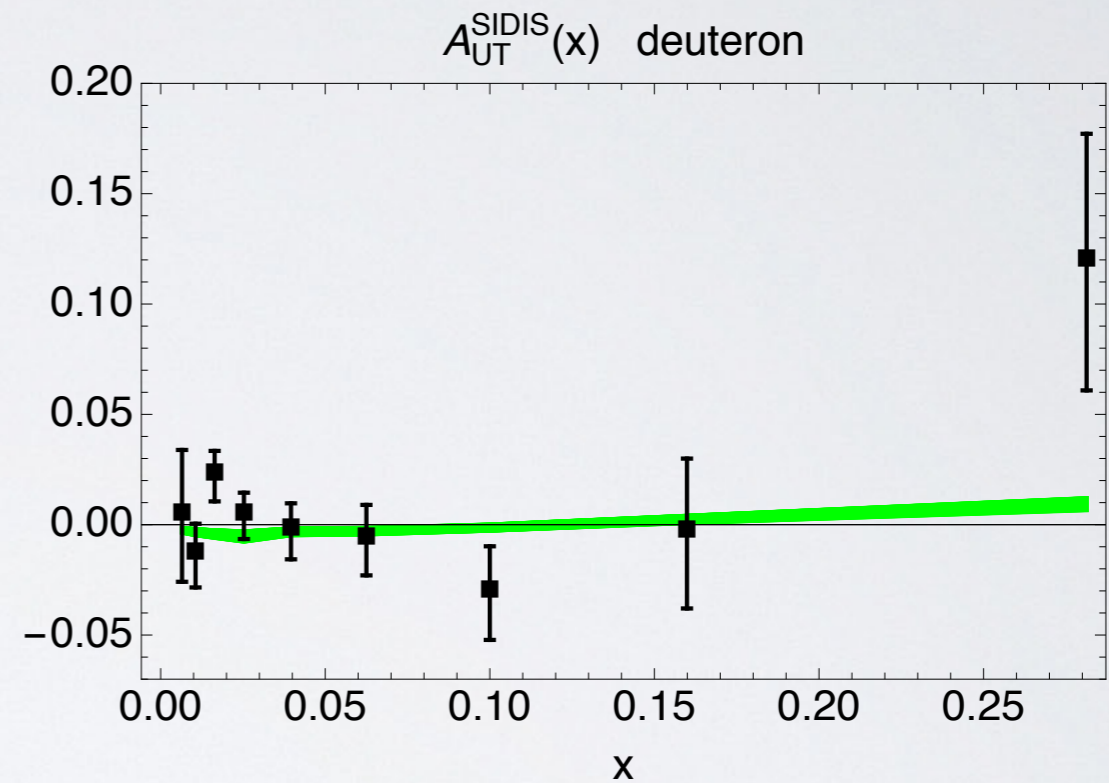
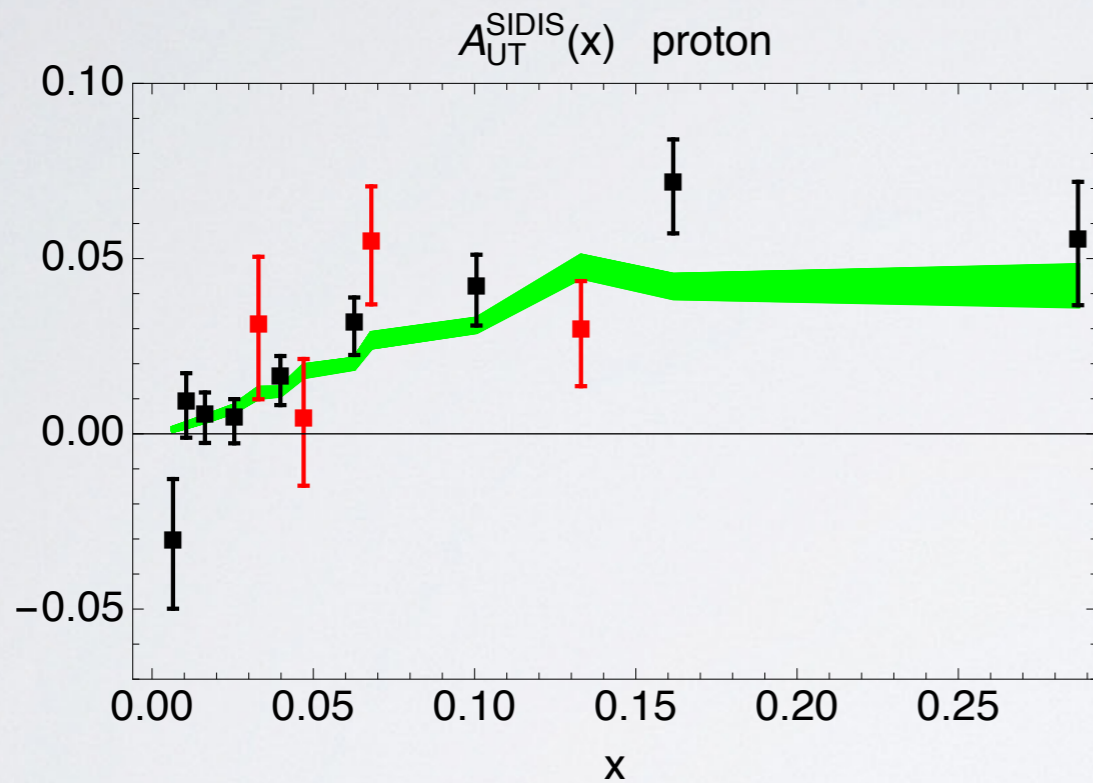
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Airapetian et al., *JHEP* **0806** (08) 017

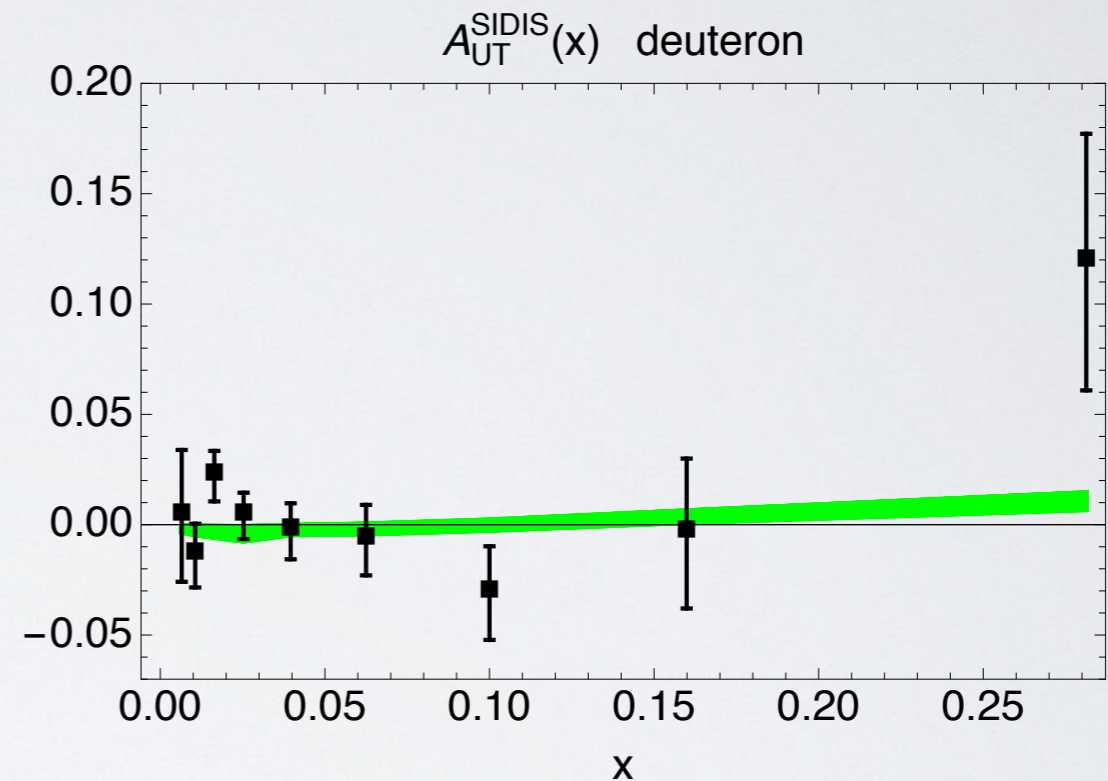
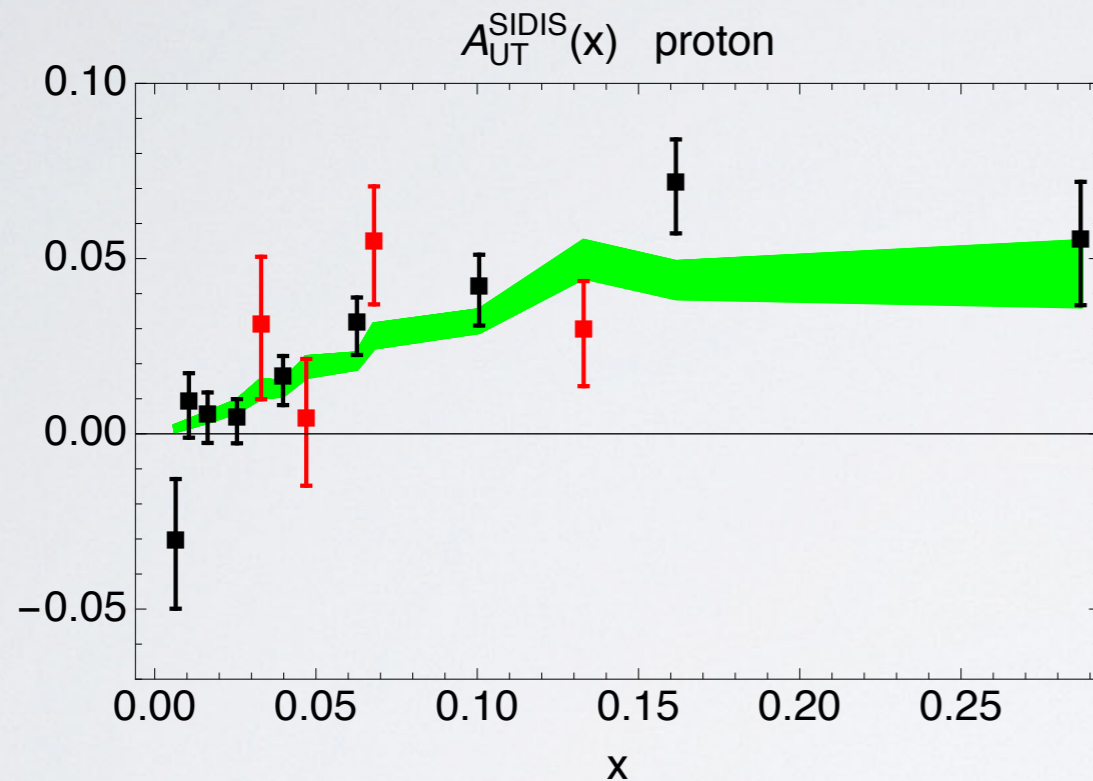
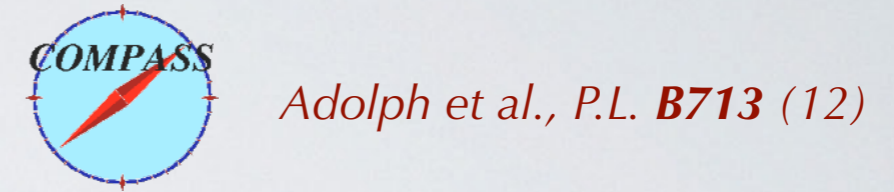
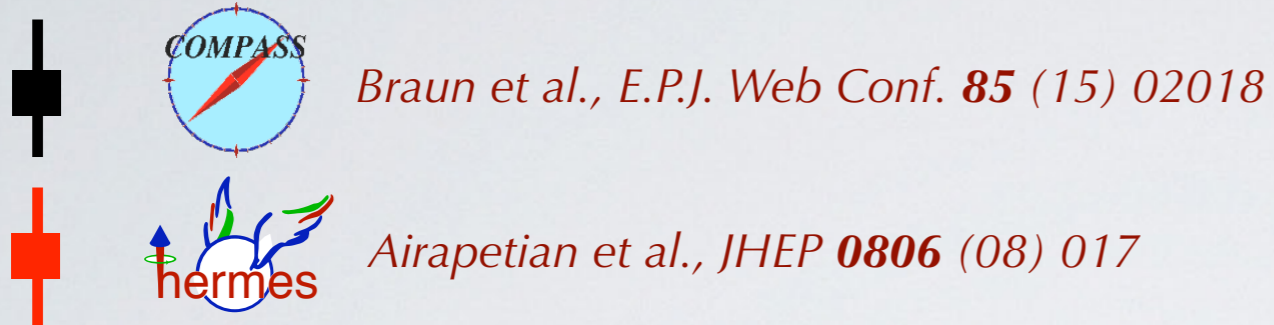


Adolph et al., *P.L.* **B713** (12)



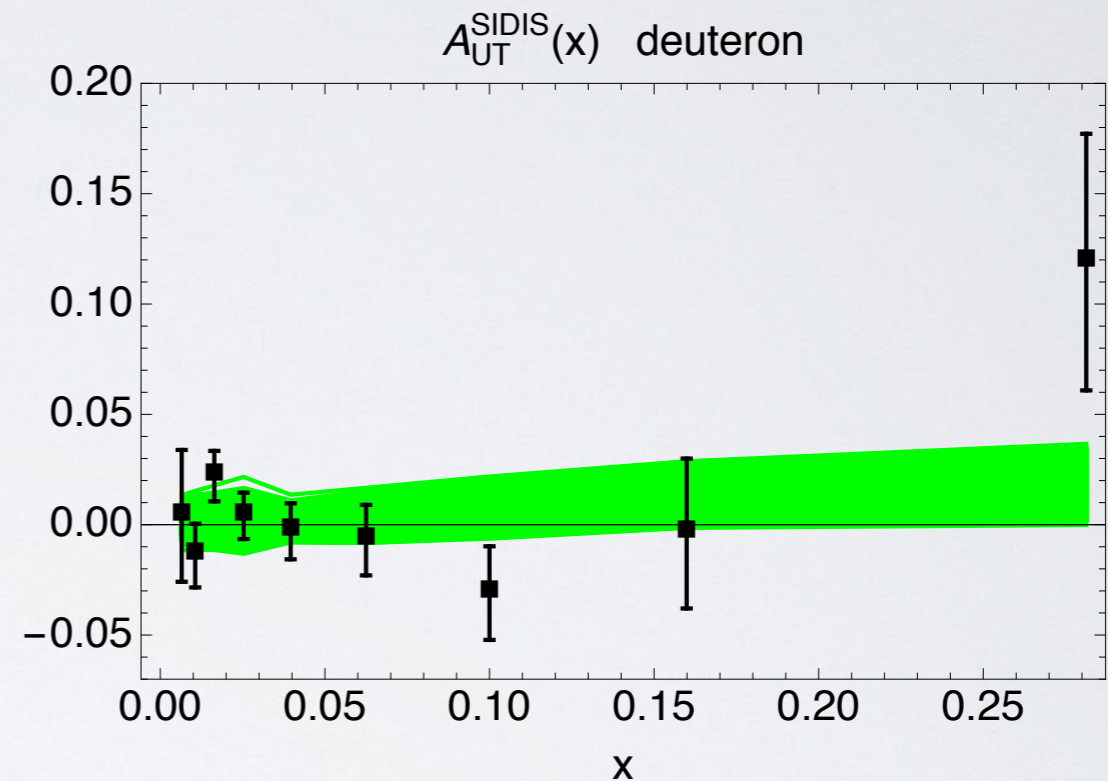
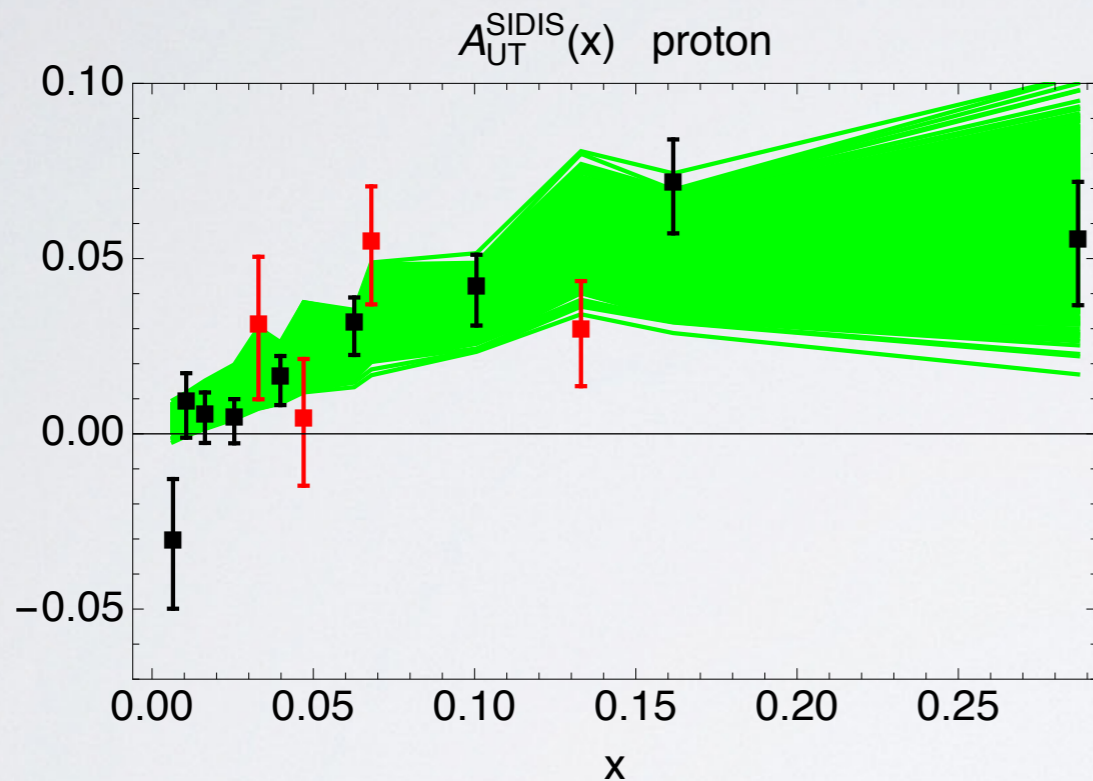
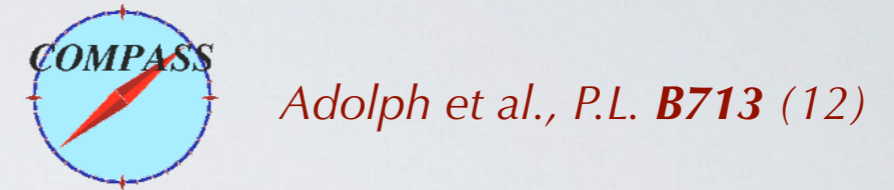
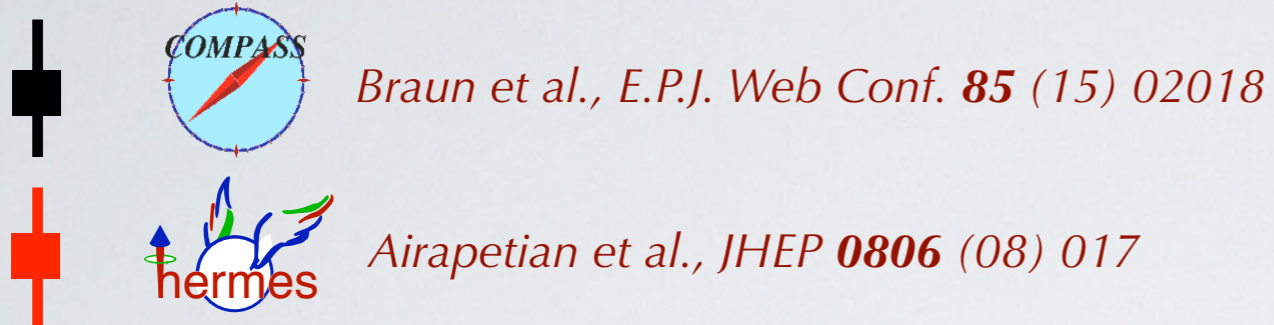
100 replicas

statistical uncertainty: the bootstrap method



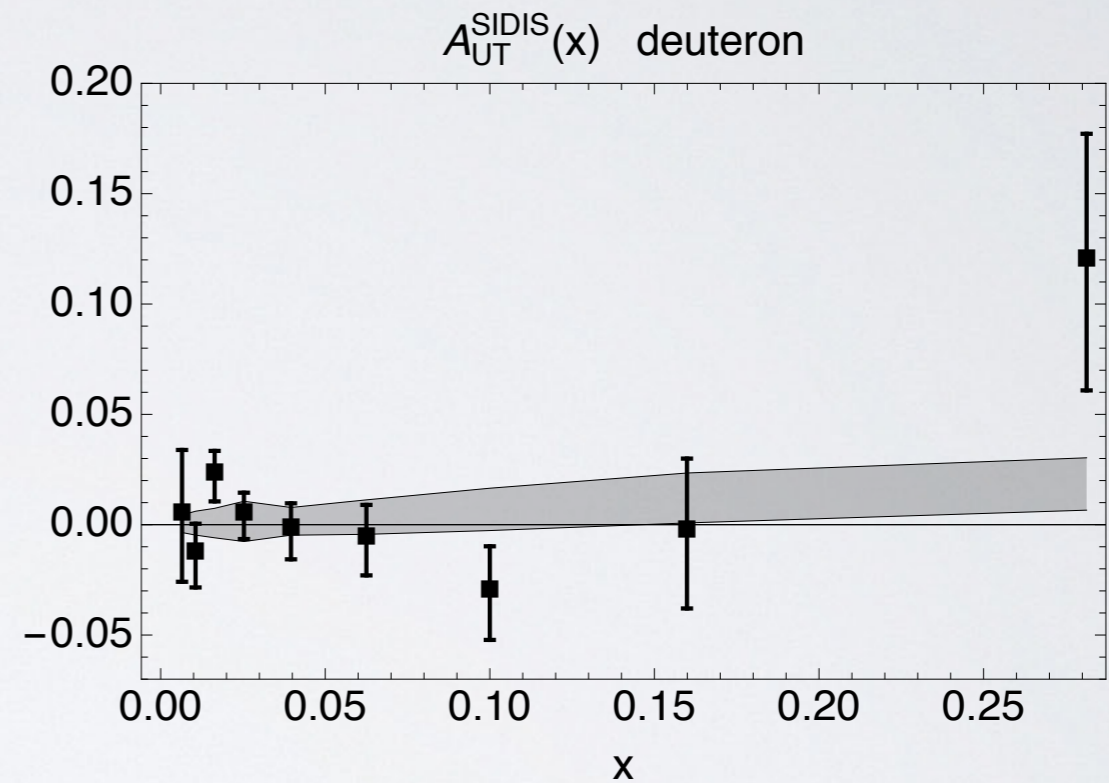
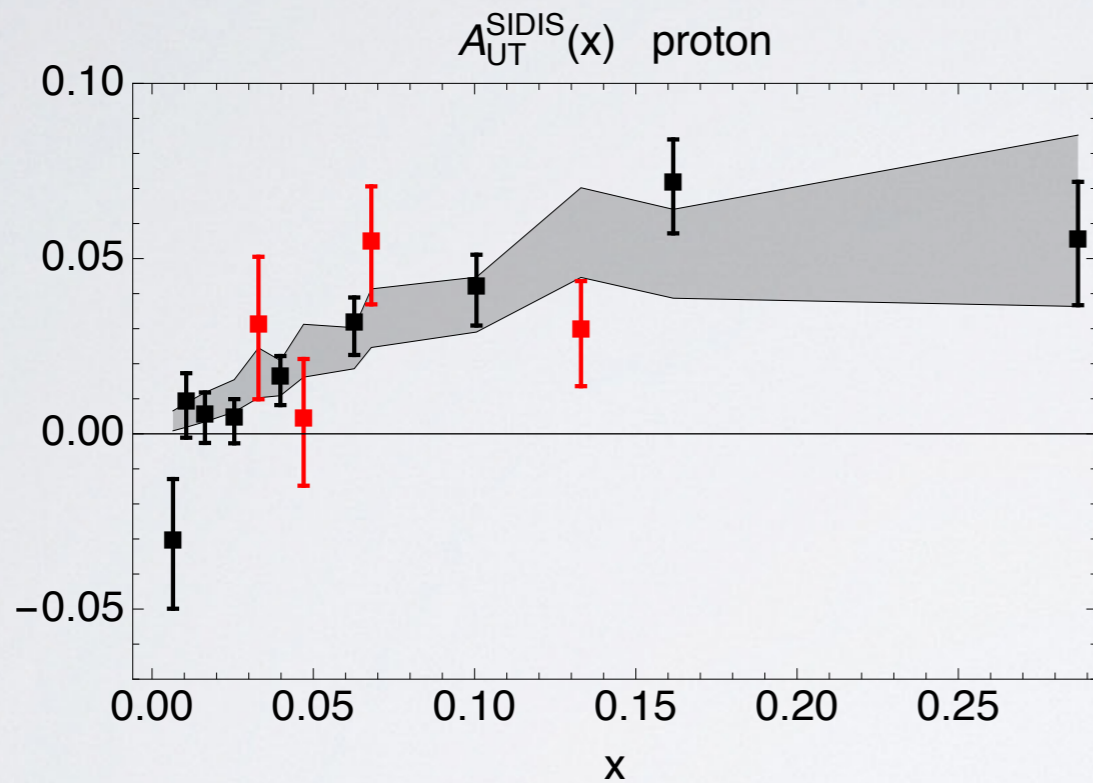
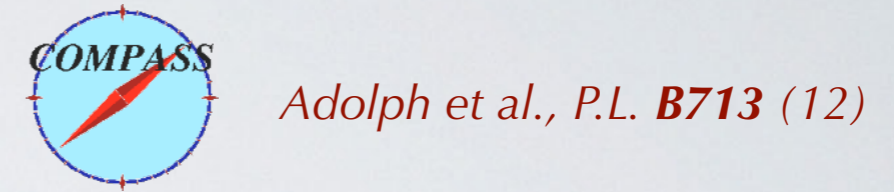
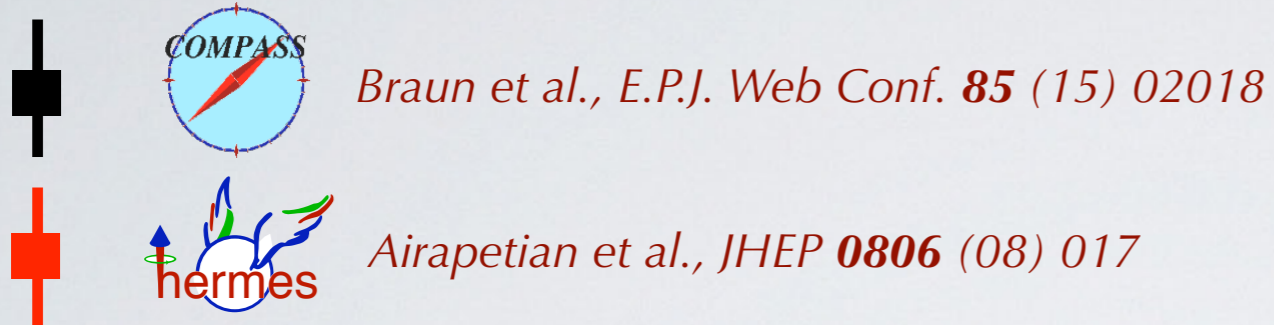
200 replicas

statistical uncertainty: the bootstrap method



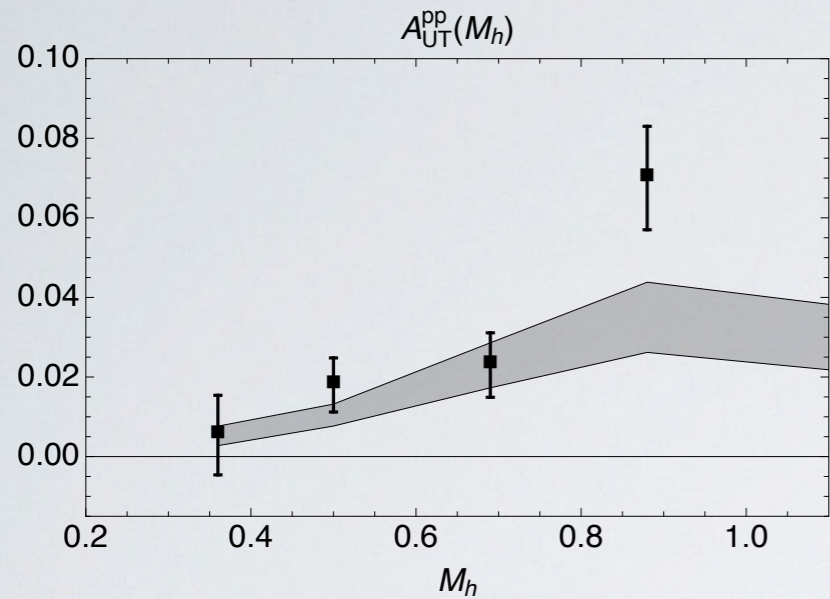
all 600 replicas

statistical uncertainty: the bootstrap method



90% replicas

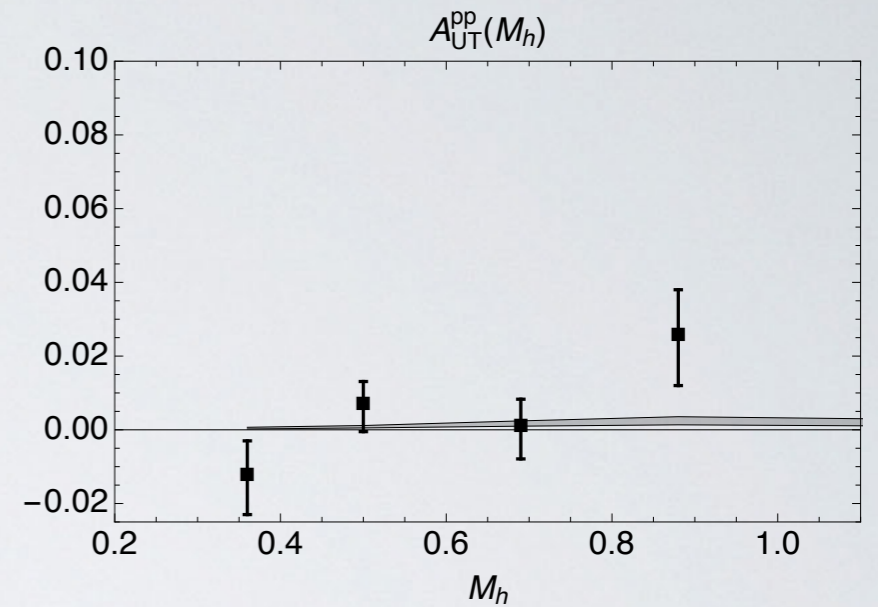
fit STAR asymmetry



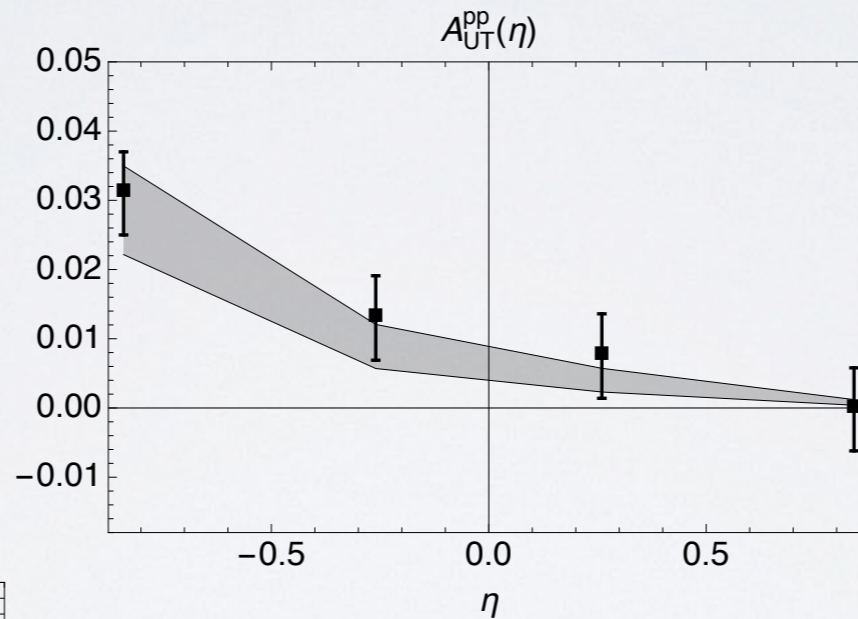
$\eta < 0$



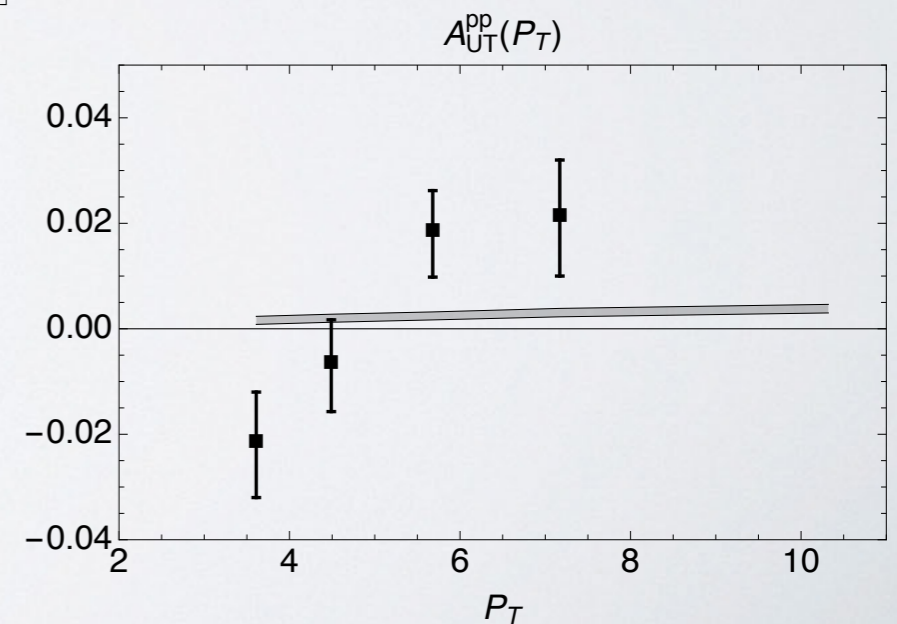
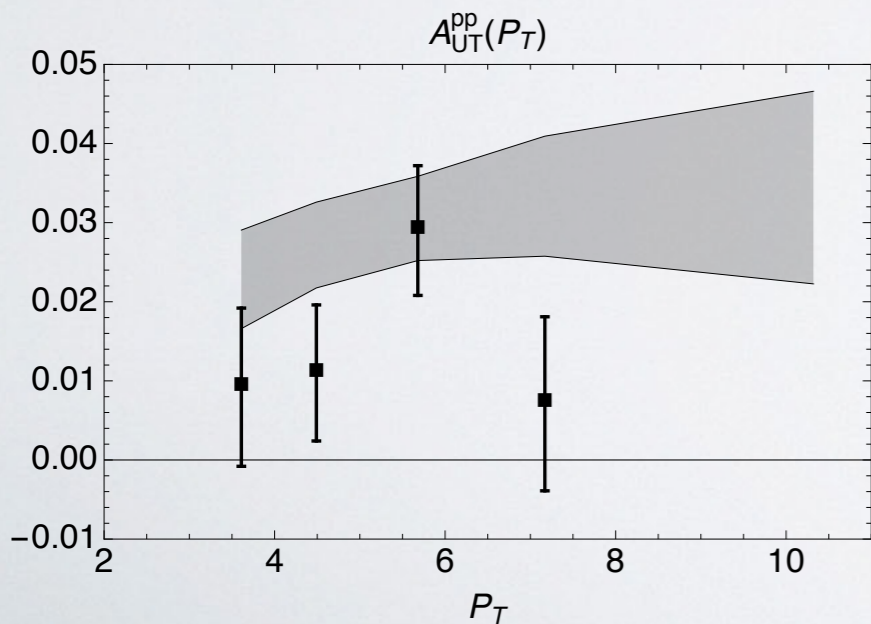
*Adamczyk et al. (STAR),
P.R.L. 115 (2015) 242501*



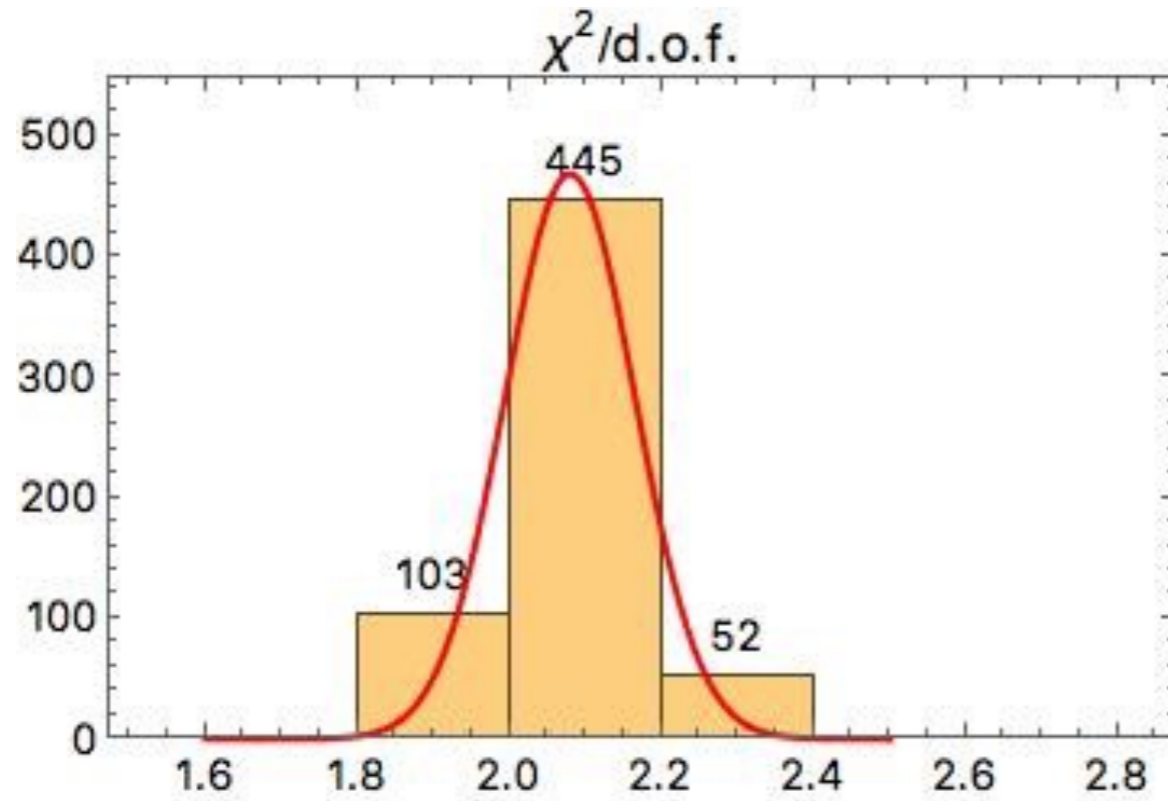
$\eta > 0$



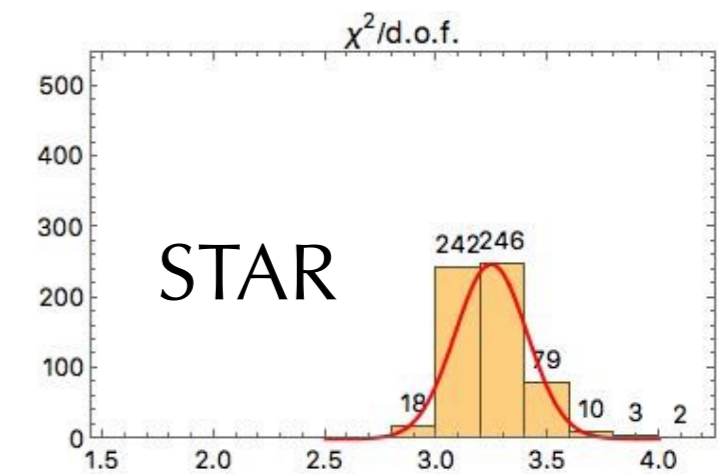
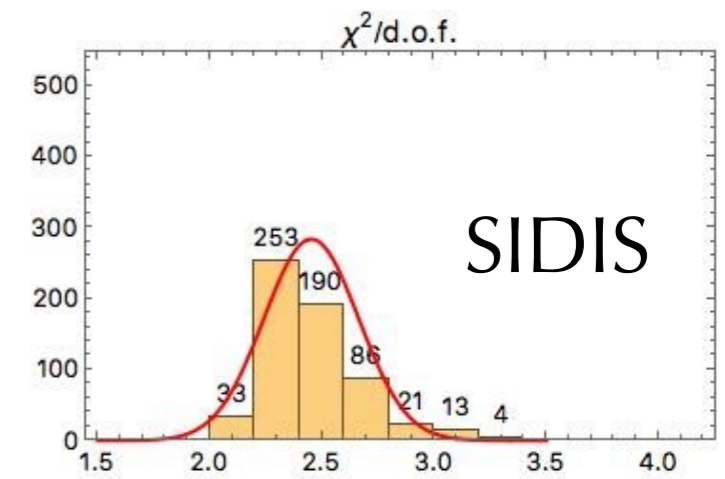
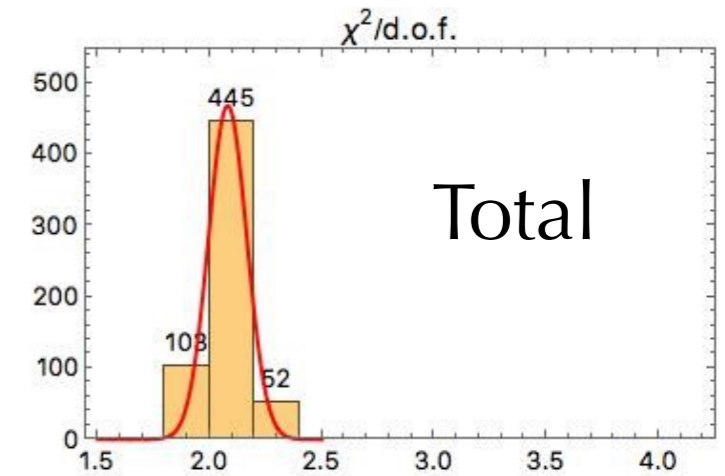
90% uncertainty band



χ^2 of the fit

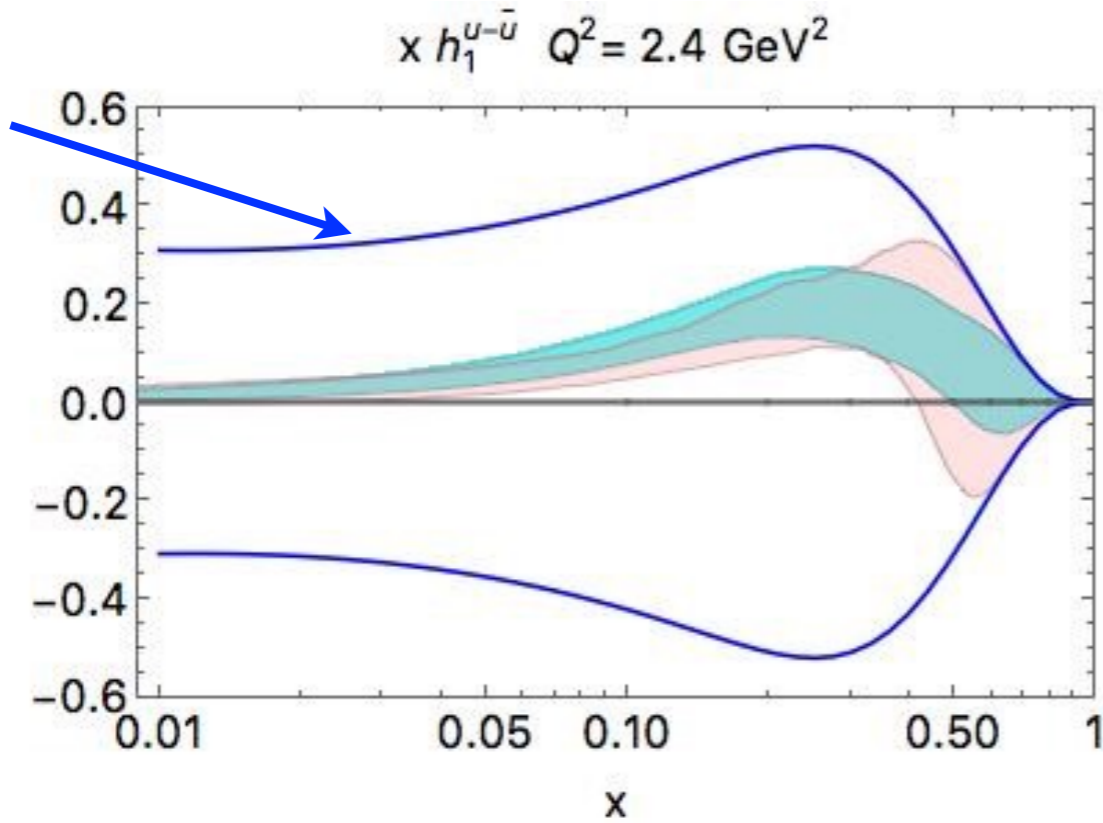


$$\chi^2/\text{dof} = 2.08 \pm 0.09$$



comparison with previous fit

Soffer bound



global fit

old fit

*Radici et al.,
JHEP **1505** (15) 123*

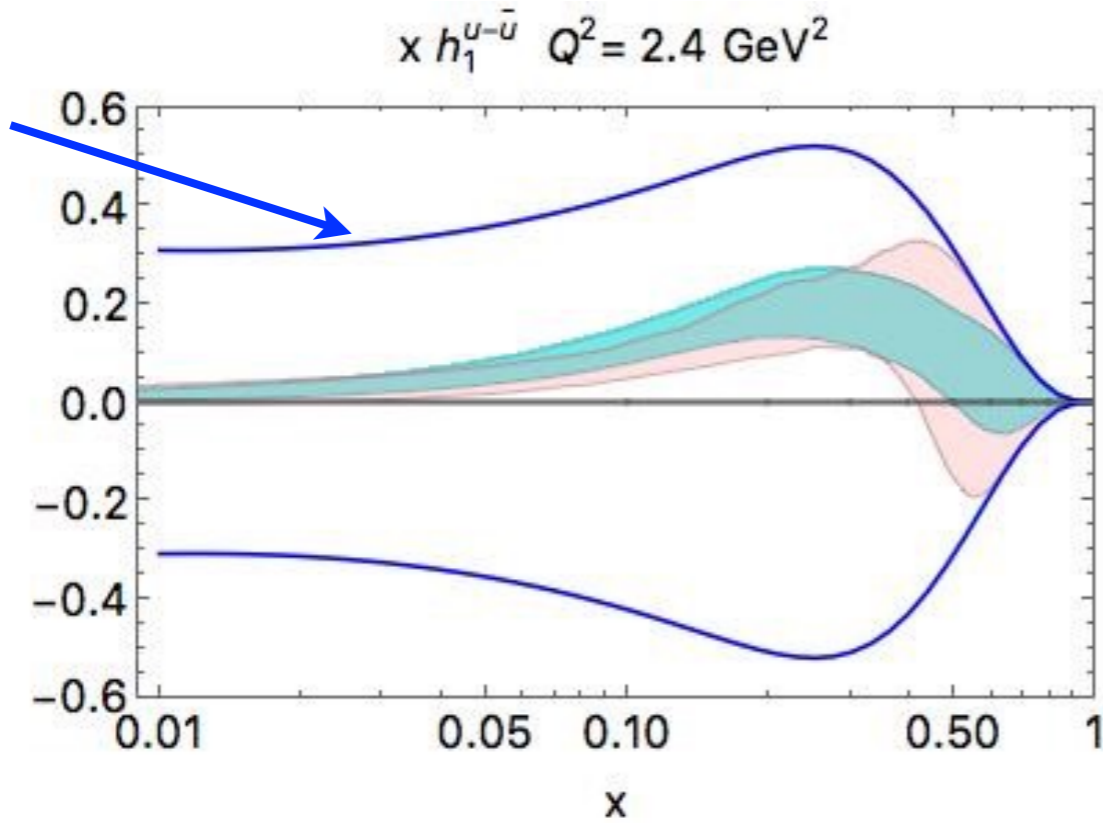
global fit

up

higher
precision

comparison with previous fit

Soffer bound



global fit

old fit

*Radici et al.,
JHEP 1505 (15) 123*

global fit

up

higher precision

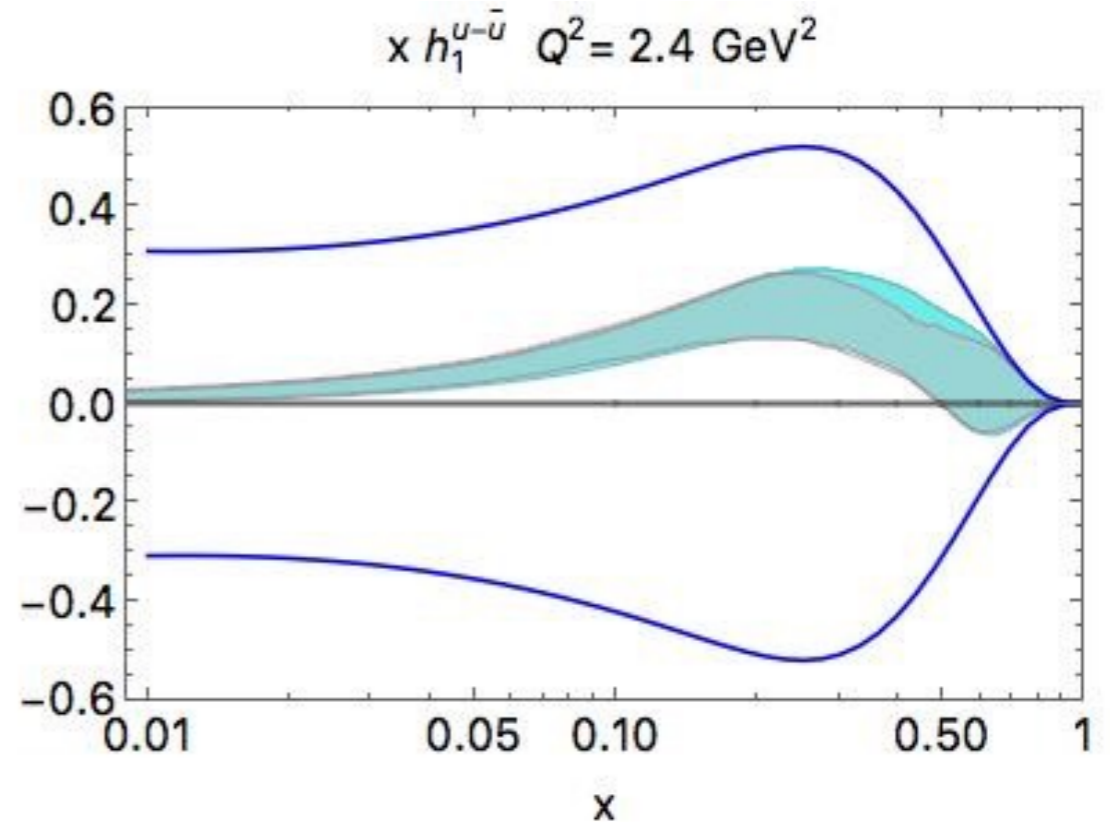
global fit

up

insensitive to uncertainty on gluon D_1

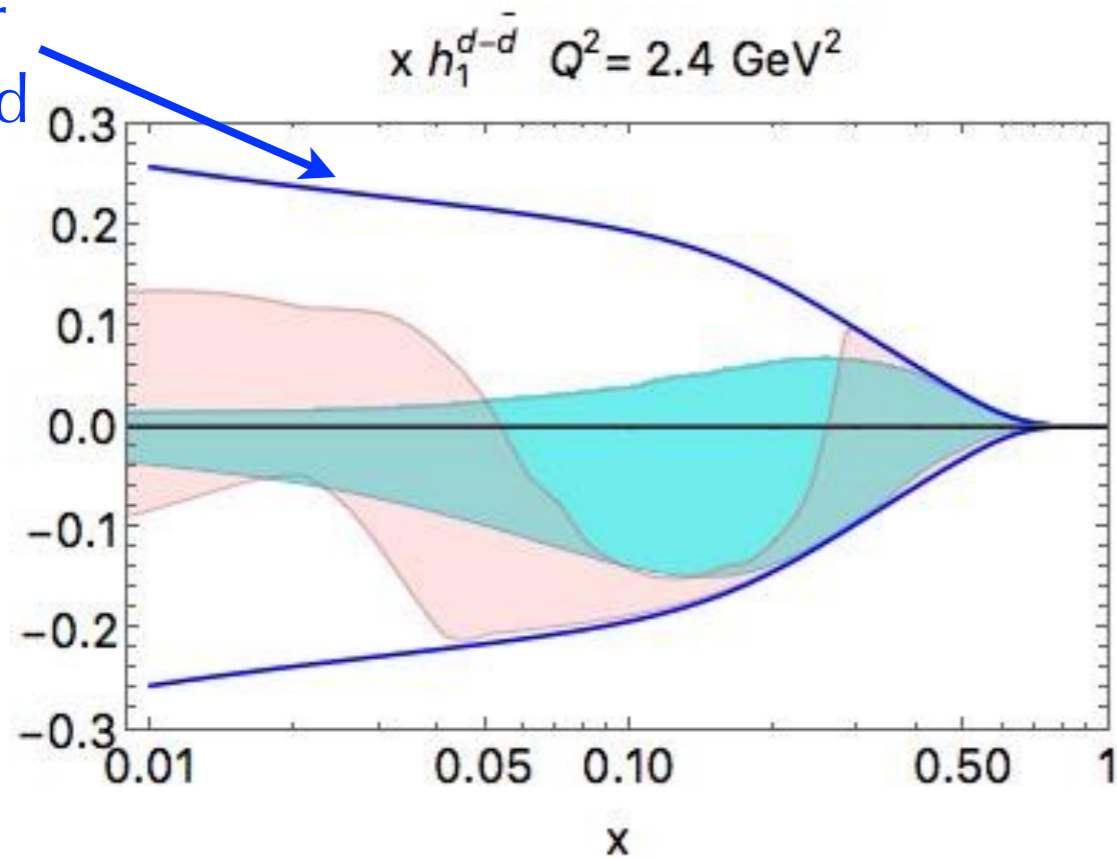
$$D_{1g}(Q_0) = 0$$

$$D_{1g}(Q_0) = \begin{cases} 0 \\ D_1^u / 4 \\ D_1^u \end{cases}$$



comparison with previous fit

Soffer
bound



down

global fit

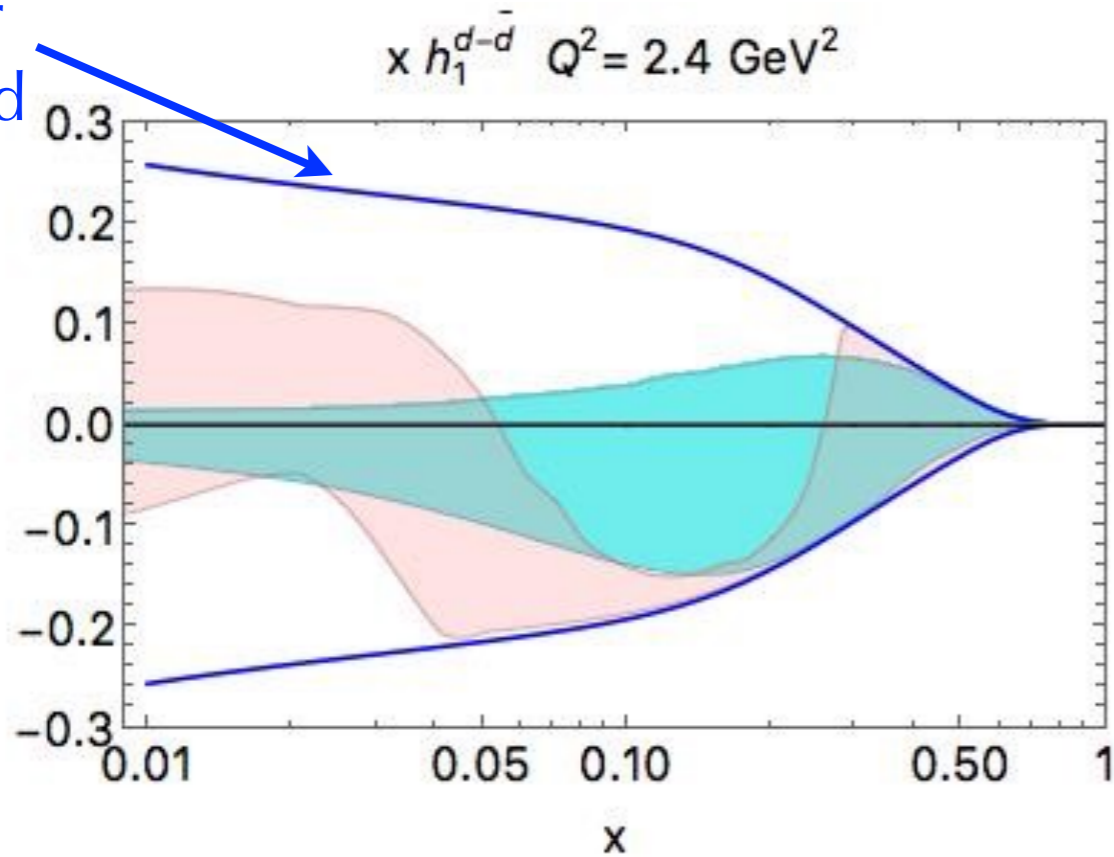
old fit

*Radici et al.,
JHEP **1505** (15) 123*

effect of STAR data :
saturation of Soffer bound
practically disappeared

comparison with previous fit

Soffer bound



down

global fit

old fit

*Radici et al.,
JHEP 1505 (15) 123*

effect of STAR data :
saturation of Soffer bound
practically disappeared

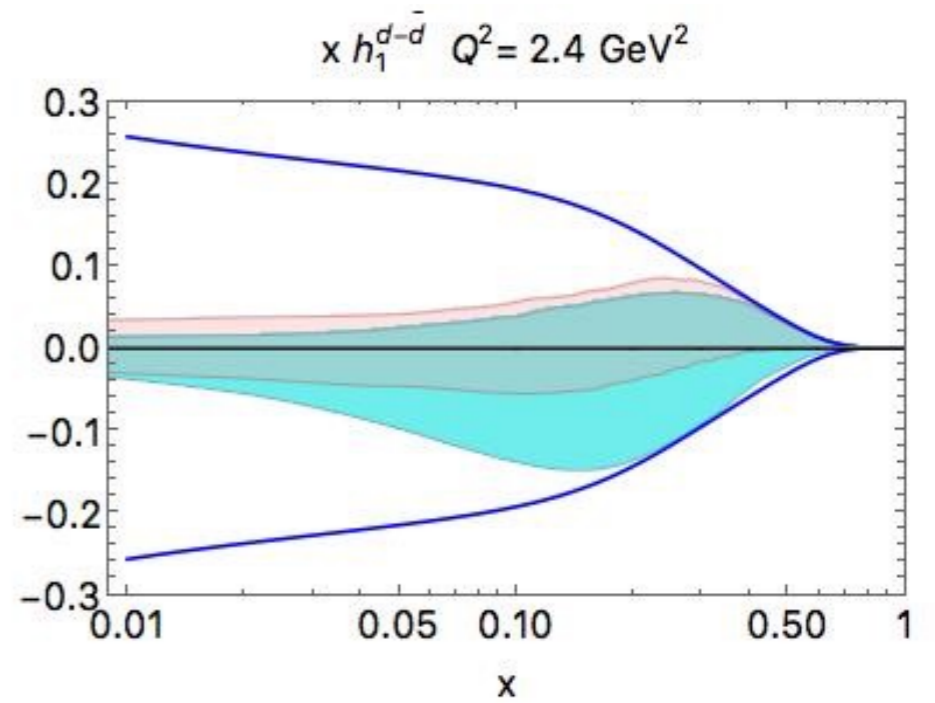
global fit

down

sensitive to
uncertainty on
gluon D_1

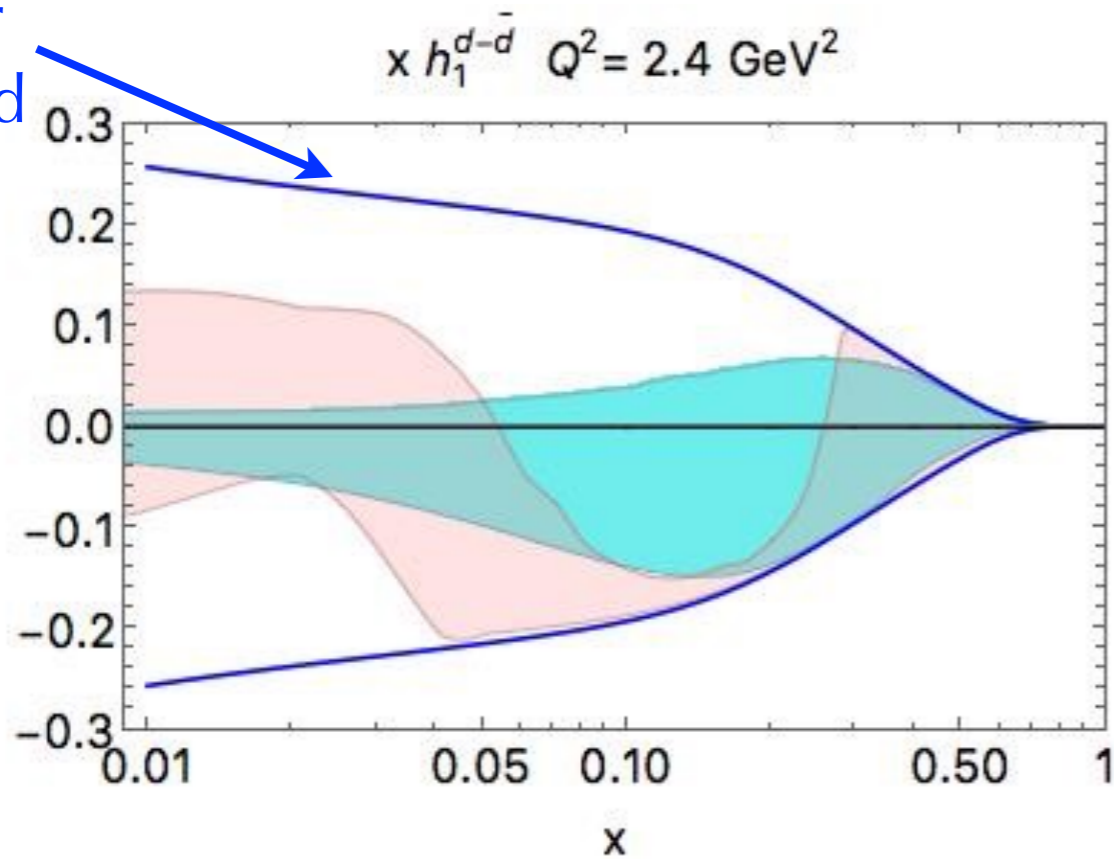
$$D_{1g}(Q_0) = 0$$

$$D_{1g}(Q_0) = \begin{cases} 0 \\ D_1^u / 4 \\ D_1^u \end{cases}$$



comparison with previous fit

Soffer bound



down

global fit

old fit

*Radici et al.,
JHEP 1505 (15) 123*

effect of STAR data :
saturation of Soffer bound
practically disappeared

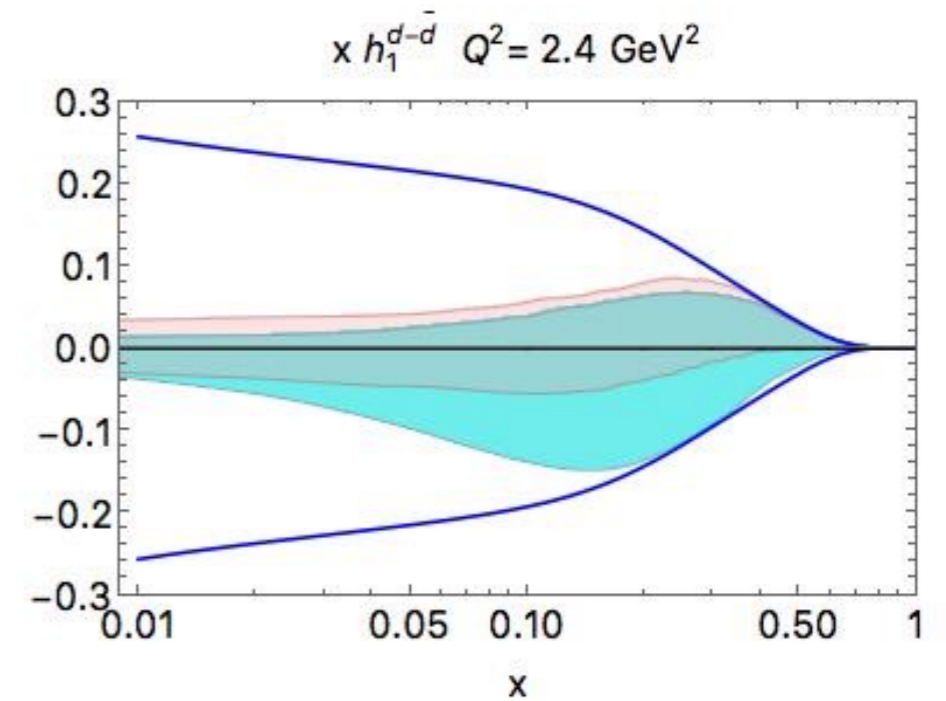
global fit

down

sensitive to
uncertainty on
gluon D_1

$$D_{1g}(Q_0) = 0$$

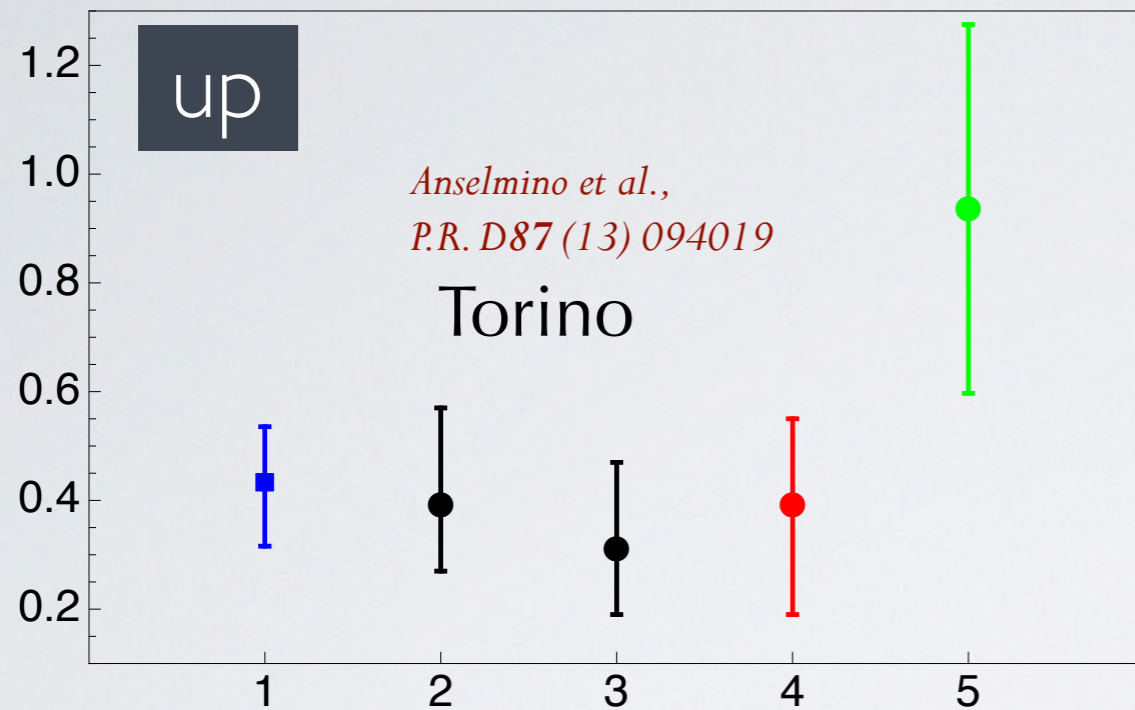
$$D_{1g}(Q_0) = \begin{cases} 0 \\ D_1^u / 4 \\ D_1^u \end{cases}$$



need dihadron multiplicities from RHIC
and better deuteron data from COMPASS

tensor charge $\delta q(Q^2) = \int dx h_1^{q-\bar{q}}(x, Q^2)$

$g_T^u(\delta u) \quad Q^2 = 1 \text{ GeV}^2$



GPD "fit"

Goldstein et al.,
arXiv:1401.0438

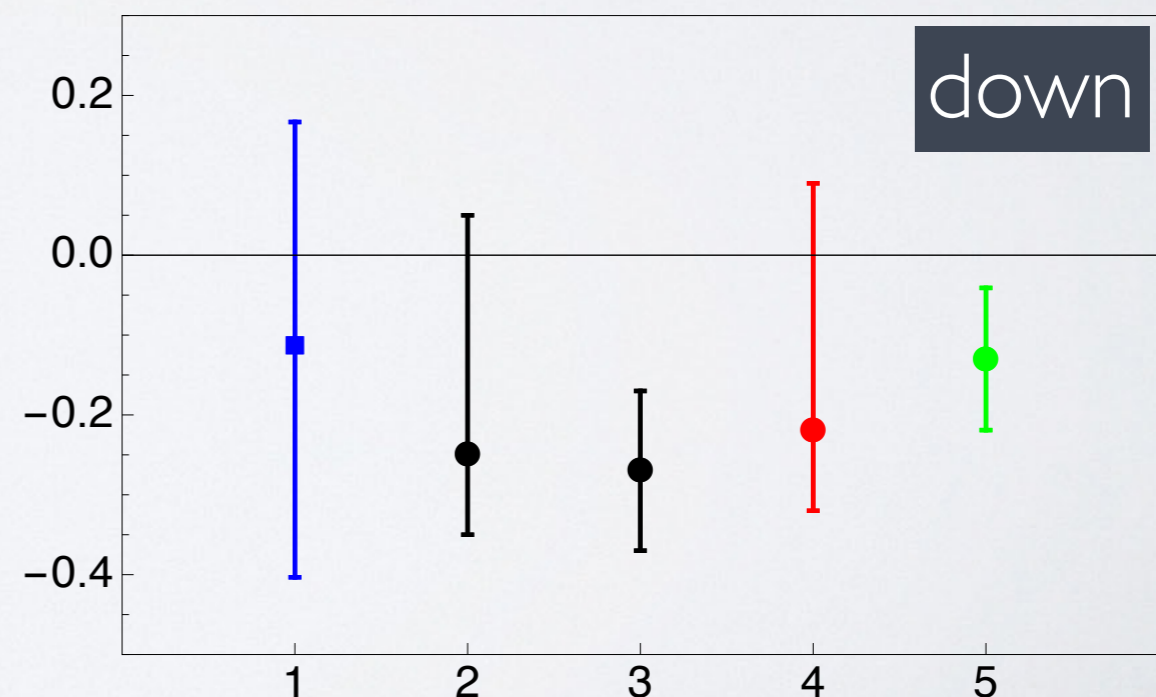
$\delta q^{[0,1]} \quad Q_0^2 = 1$
(except TMDfit)

global
fit

TMD fit

Kang et al.,
P.R. D93 (16) 014009

$g_T^d(\delta d) \quad Q^2 = 1 \text{ GeV}^2$

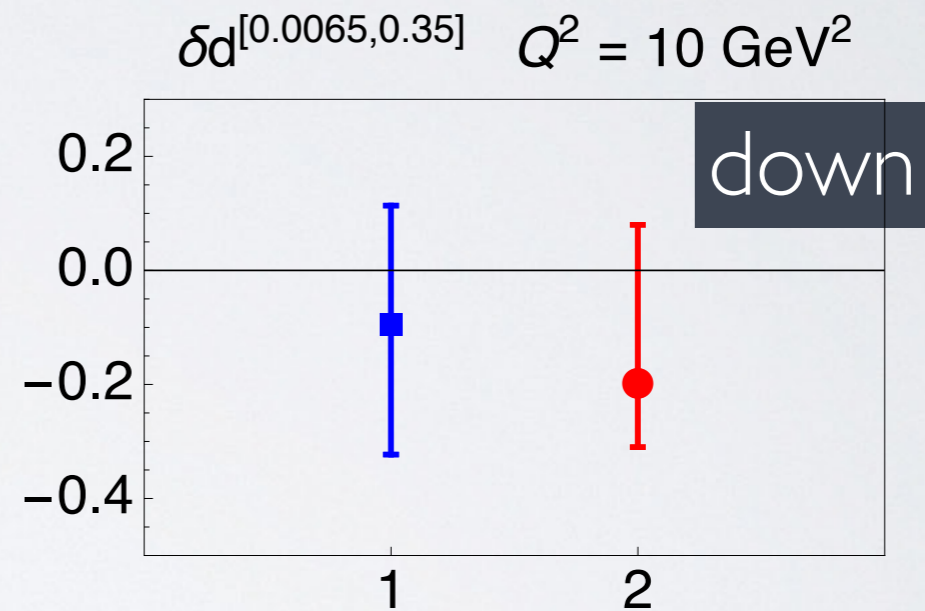
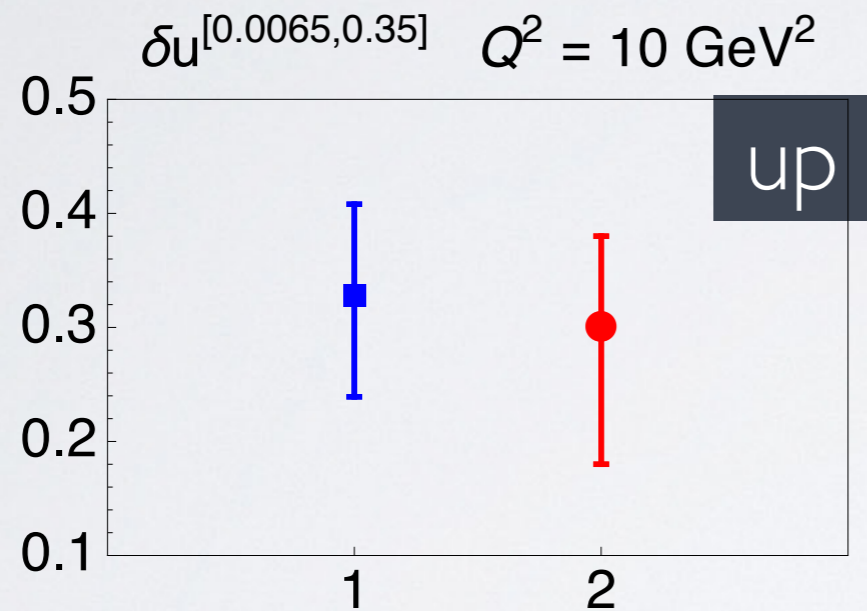


best current precision on up
large (realistic) uncertainties
on down

tensor charge $\delta q(Q^2) = \int dx h_1^{q-\bar{q}}(x, Q^2)$

truncated

$$\delta q^{[0.0065, 0.35]} \quad Q^2 = 10$$



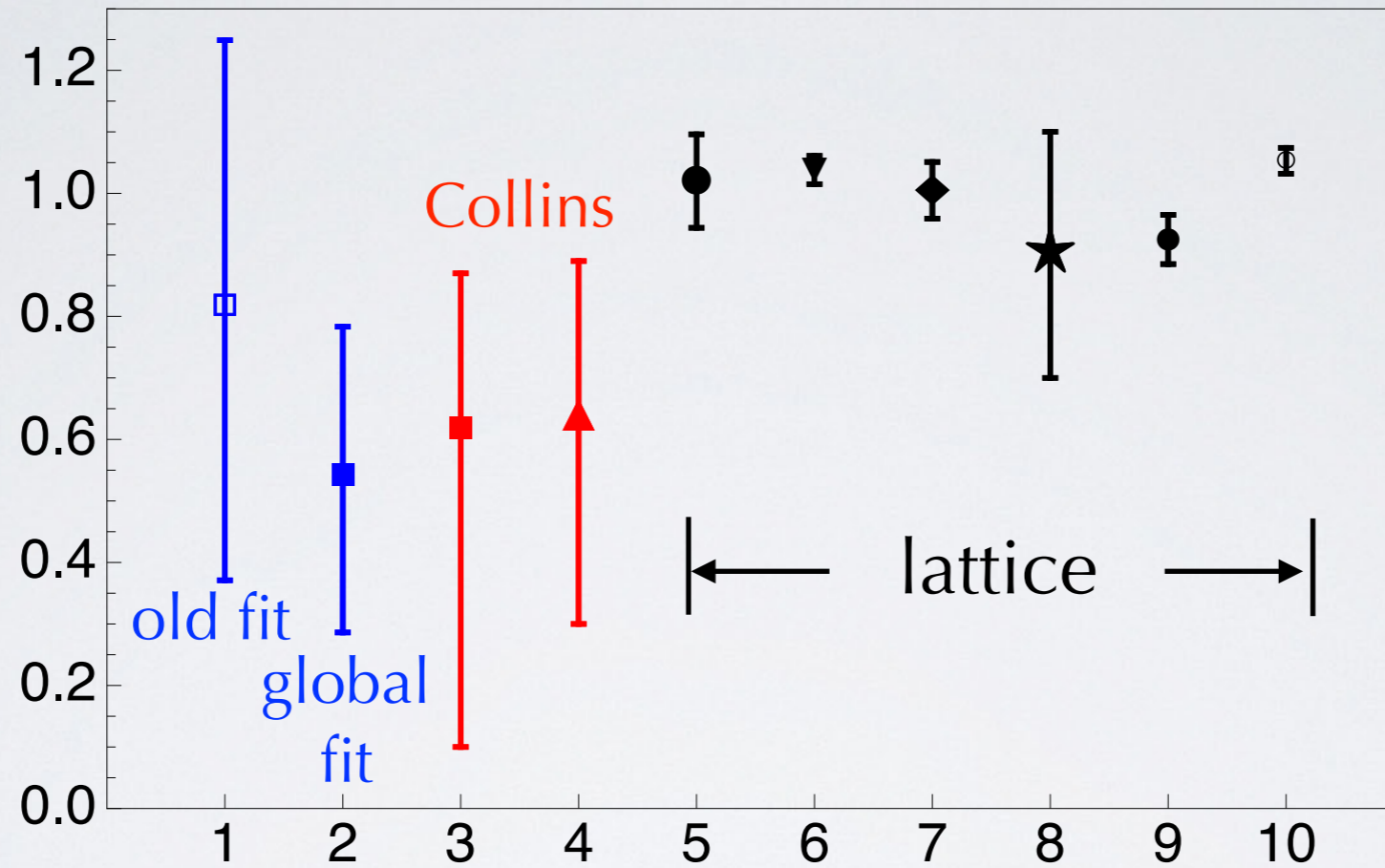
global
fit

TMD fit

*Kang et al.,
P.R. D93 (16) 014009*

isovector tensor charge $g_T^{u-d} = \delta u - \delta d$

$$g_T^{u-d} = \delta u - \delta d \quad Q^2 = 4 \text{ GeV}^2$$



Radici et al., JHEP 1505 (15) 123 1) **old fit '15**

2) **global fit '17**

Kang et al., P.R. D93 (16) 014009 3) **"TMD fit"**

Anselmino et al., P.R. D87 (13) 094019 4) **Torino fit**

5) PNDME '15

6) LHPC '12

7) RQCD '14

8) RBC-UKQCD

9) ETMC '17

10) ETMC '15

Bhattacharya et al., P.R. D92 (15)

Green et al., P.R. D86 (12)

Bali et al., P.R. D91 (15)

Aoki et al., P.R. D82 (10)

Alexandrou et al., P.R. D95 (17) 114514;

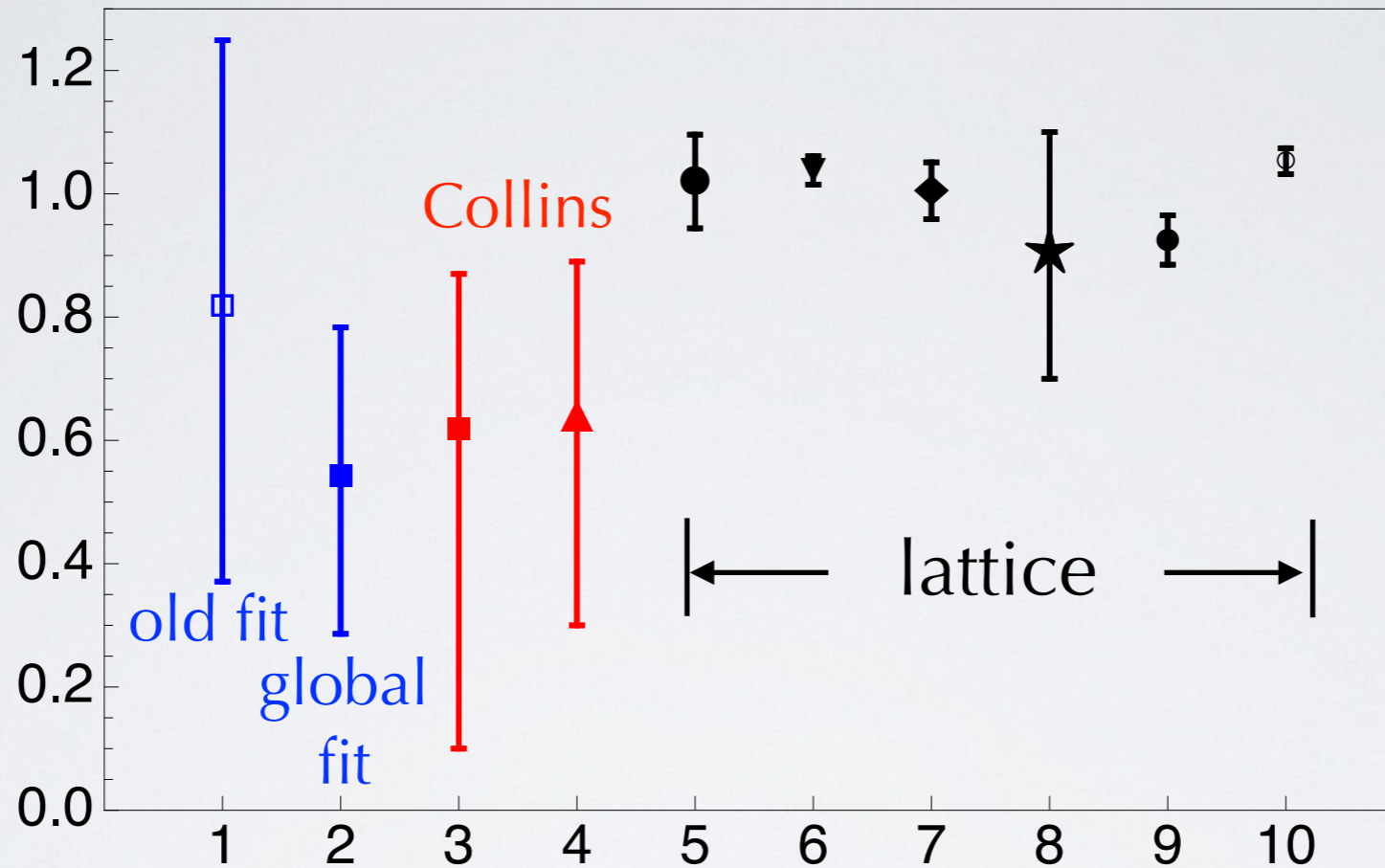
E P.R. D96 (17) 099906

Abdel-Rehim et al., P.R. D92 (15);

E P.R. D93 (16)

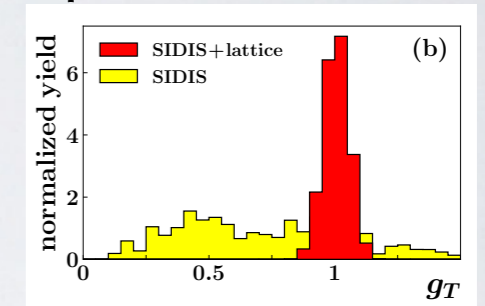
isovector tensor charge $g_T^{u-d} = \delta u - \delta d$

$$g_T^{u-d} = \delta u - \delta d \quad Q^2 = 4 \text{ GeV}^2$$



systematical
discrepancy ?

but Collins seems
compatible with lattice



Lin et al., arXiv:1710.09858

Radici et al., JHEP 1505 (15) 123 1) **old fit '15**

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Kang et al., P.R. D93 (16) 014009 3) **"TMD fit"**

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Bhattacharya et al., P.R. D92 (15)

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Bali et al., P.R. D91 (15)

Aoki et al., P.R. D82 (10)

Alexandrou et al., P.R. D95 (17) 114514;

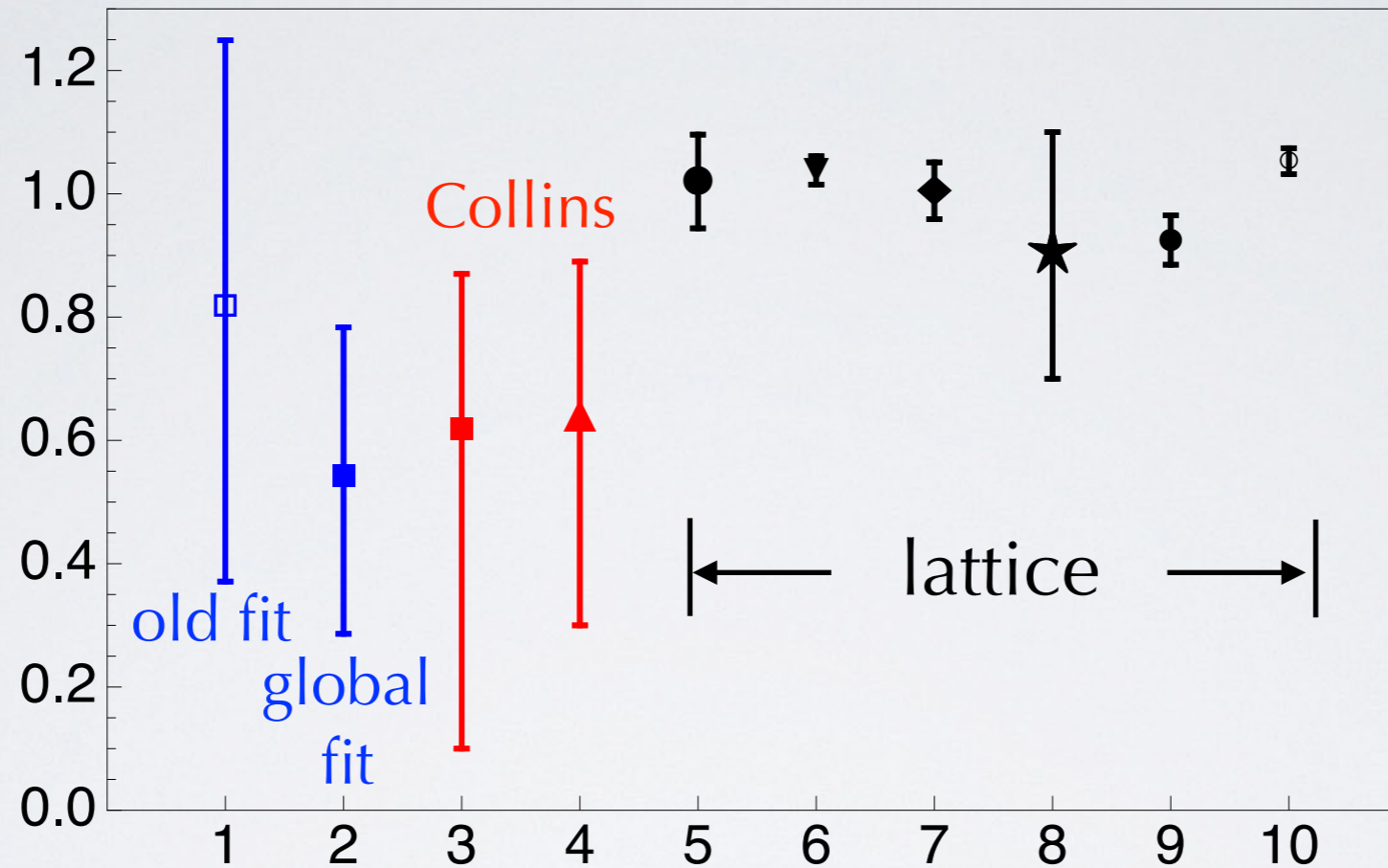
E P.R. D96 (17) 099906

Abdel-Rehim et al., P.R. D92 (15);

E P.R. D93 (16)

isovector tensor charge $g_T^{u-d} = \delta u - \delta d$

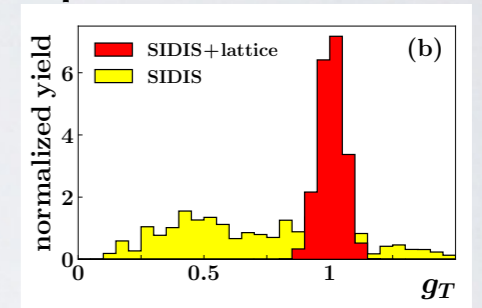
$$g_T^{u-d} = \delta u - \delta d \quad Q^2 = 4 \text{ GeV}^2$$



precision is an issue !

systematical discrepancy ?

but Collins seems compatible with lattice



Lin et al., arXiv:1710.09858

<i>Radici et al., JHEP 1505 (15) 123</i>	1) old fit '15	5) PNDME '15	<i>Bhattacharya et al., P.R. D92 (15)</i>
	2) global fit '17	6) LHPC '12	<i>Green et al., P.R. D86 (12)</i>
<i>Kang et al., P.R. D93 (16) 014009</i>	3) "TMD fit"	7) RQCD '14	<i>Bali et al., P.R. D91 (15)</i>
<i>Anselmino et al., P.R. D87 (13) 094019</i>	4) Torino fit	8) RBC-UKQCD	<i>Aoki et al., P.R. D82 (10)</i>
		9) ETMC '17	<i>Alexandrou et al., P.R. D95 (17) 114514; E P.R. D96 (17) 099906</i>
		10) ETMC '15	<i>Abdel-Rehim et al., P.R. D92 (15); E P.R. D93 (16)</i>

precision : potential for BSM searches

$$\begin{aligned} P^{[\mu} S^{\nu]} g_T^q(Q^2) &= P^{[\mu} S^{\nu]} \int_0^1 dx [h_1^q(x, Q^2) - h_1^{\bar{q}}(x, Q^2)] \\ &= \langle P, S | \bar{q} \sigma^{\mu\nu} q | P, S \rangle \end{aligned}$$

tensor operator not directly accessible in tree-level \mathcal{L}_{SM}
low-energy footprint of new physics (BSM) at higher scales ?

talk by Courtoy

precision : potential for BSM searches

$$P^{[\mu} S^{\nu]} g_T^q(Q^2) = P^{[\mu} S^{\nu]} \int_0^1 dx [h_1^q(x, Q^2) - h_1^{\bar{q}}(x, Q^2)]$$

$$= \langle P, S | \bar{q} \sigma^{\mu\nu} q | P, S \rangle$$

tensor operator not directly accessible in tree-level \mathcal{L}_{SM}
 low-energy footprint of new physics (BSM) at higher scales ?

talk by Courtoy

Example: neutron β -decay $n \rightarrow p e^- \bar{\nu}_e$

\mathcal{L}_{SM} universal V-A

\mathcal{L}_{BSM} new couplings: $\epsilon_S 1$, $\epsilon_{PS} \gamma_5$, $\epsilon_T \sigma^{\mu\nu}$

$$\bar{e} \gamma^\mu (1 - \gamma_5) \nu_e \quad \bar{u} \gamma^\mu (1 - \gamma_5) d$$

$$\dots + \epsilon_T \bar{e} \sigma^{\mu\nu} \nu_e \quad \bar{q} \sigma^{\mu\nu} q \dots$$

current experimental constraint from

- radiative pion decay

Bychkov et al. (PIBETA), P.R.L. 103 (09) 051802

- neutron β decay

Pattie et al., P.R. C88 (13) 048501

$$\epsilon_T g_T^{u-d}$$

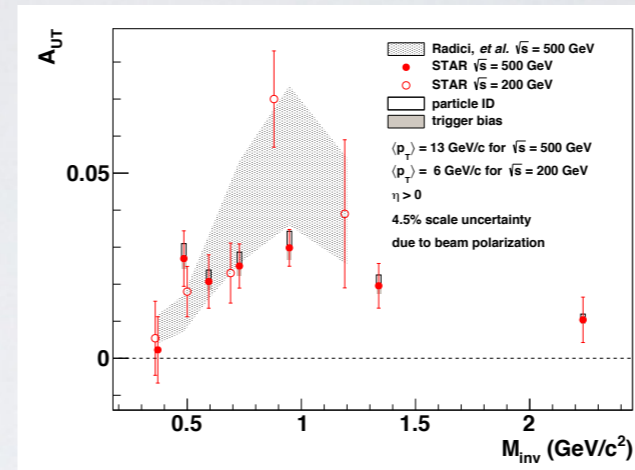
$$(\approx M_W^2 / M_{BSM}^2)$$

$$| \epsilon_T g_T^{u-d} | \approx 5 \times 10^{-4}$$

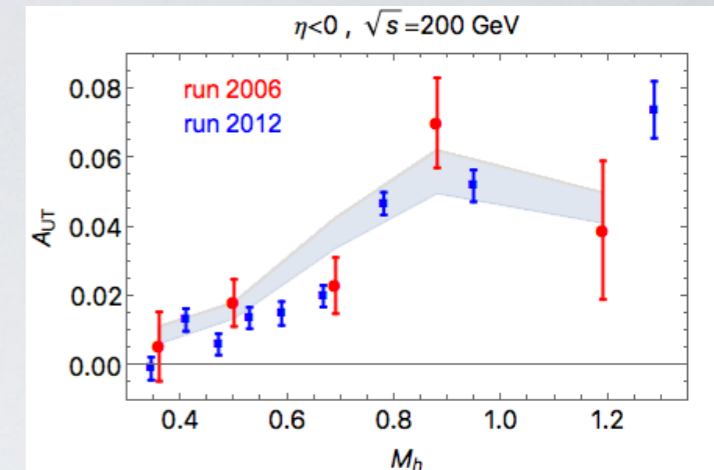
To do list

- use also other (multi-dimensional) data from STAR run 2011 ($\sqrt{s}=500$) and (later) run 2012 ($\sqrt{s}=200$)

talk by Aschenauer
& Surrow



Adamczyk et al. (STAR), arXiv:1710.10215



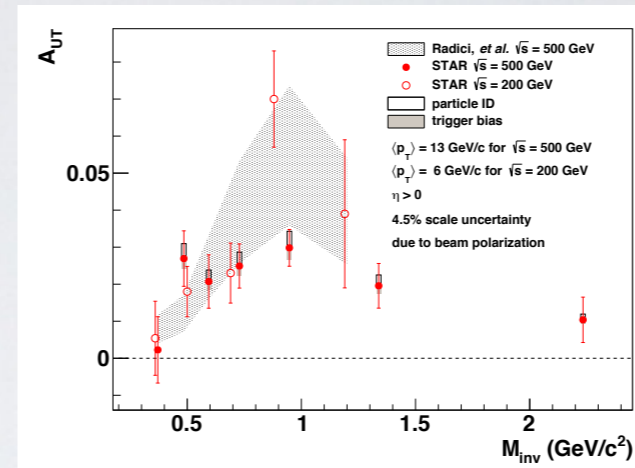
Radici et al., P.R. D94 (16) 034012

- need data on $p+p \rightarrow (\pi\pi) X$ constrains gluon D_1g

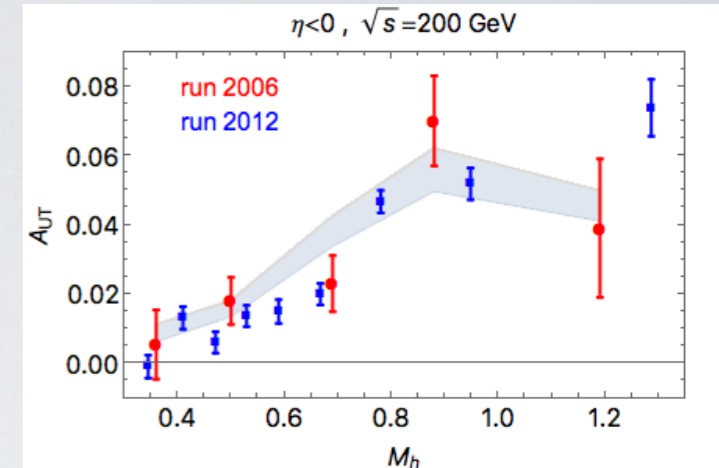
To do list

→ use also other (multi-dimensional) data from STAR run 2011 ($\sqrt{s}=500$) and (later) run 2012 ($\sqrt{s}=200$)

talk by Aschenauer & Surrow



Adamczyk et al. (STAR), arXiv:1710.10215



Radici et al., P.R. D94 (16) 034012

→ need data on $p+p \rightarrow (\pi\pi) X$ constrains gluon D_{1g}

→ refit di-hadron fragmentation functions using new data:

$e^+e^- \rightarrow (\pi\pi) X$ constrains D_{1q}
(currently only by Montecarlo)



Seidl et al.,
P.R. D96 (17) 032005

talk by Vossen & Schnell

→ use COMPASS data on πK and KK channels, and from Λ^\uparrow fragmentation:
constrain strange contribution ?

talk by Moretti

→ explore other channels, like inclusive DIS via Jet fragm. funct.'s

talk by Accardi

Conclusions

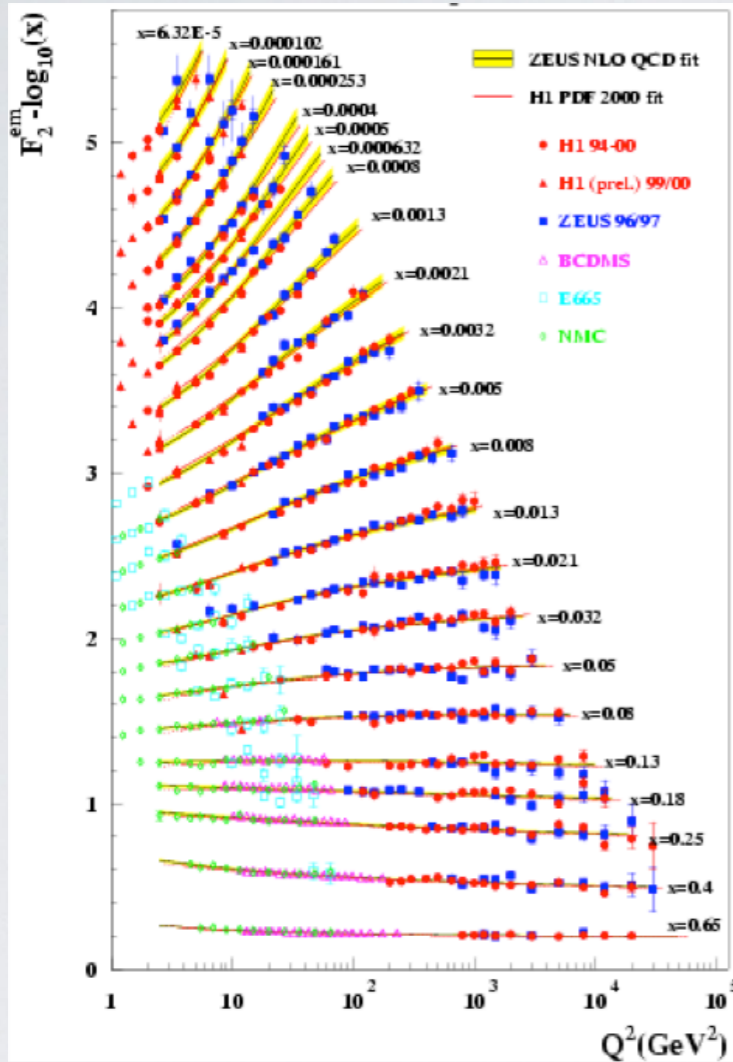
- first global fit of di-hadron inclusive data leading to extraction of transversity as a PDF in collinear framework
 - inclusion of STAR p - p^\uparrow data increases precision of up channel and eliminates suspicious behavior of down; large uncertainty on down due to unconstrained gluon di-hadron fragmentation function
 - tensor charge useful for low-energy explorations of BSM new physics \Rightarrow precision is an issue.
- This global fit is an important step forward

THANK YOU

Back-up

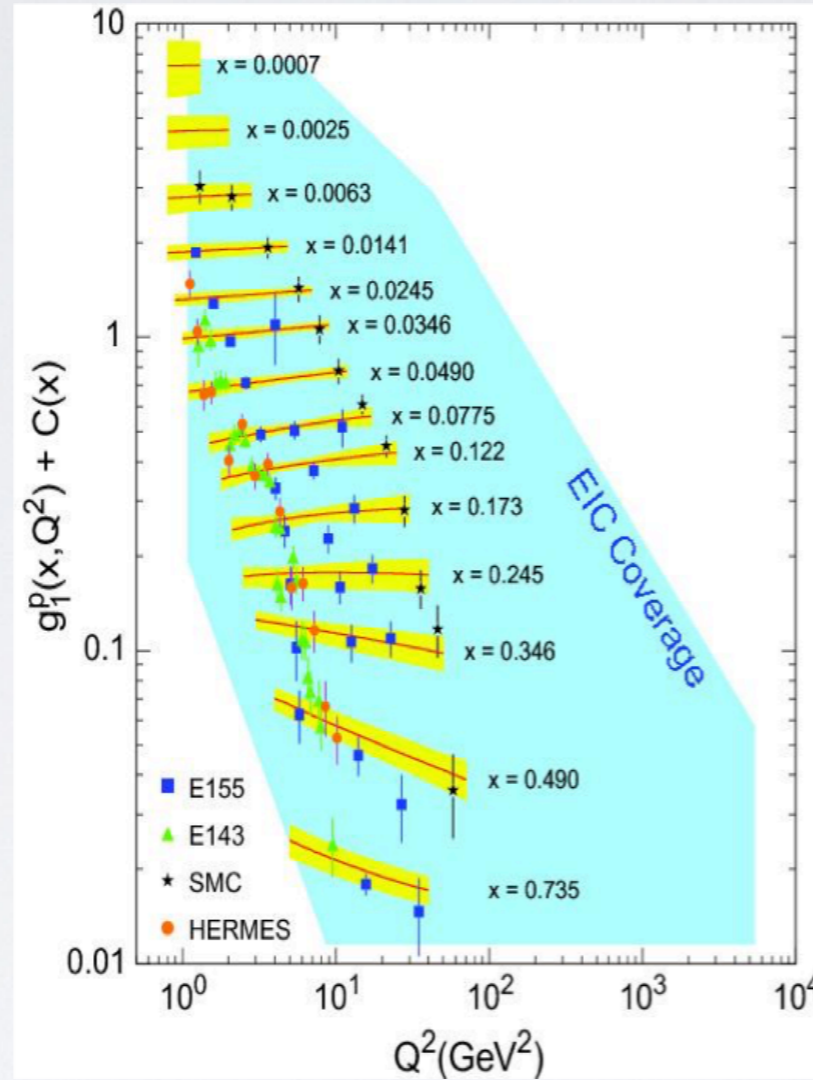
Transversity poorly known

World data for F_2^p



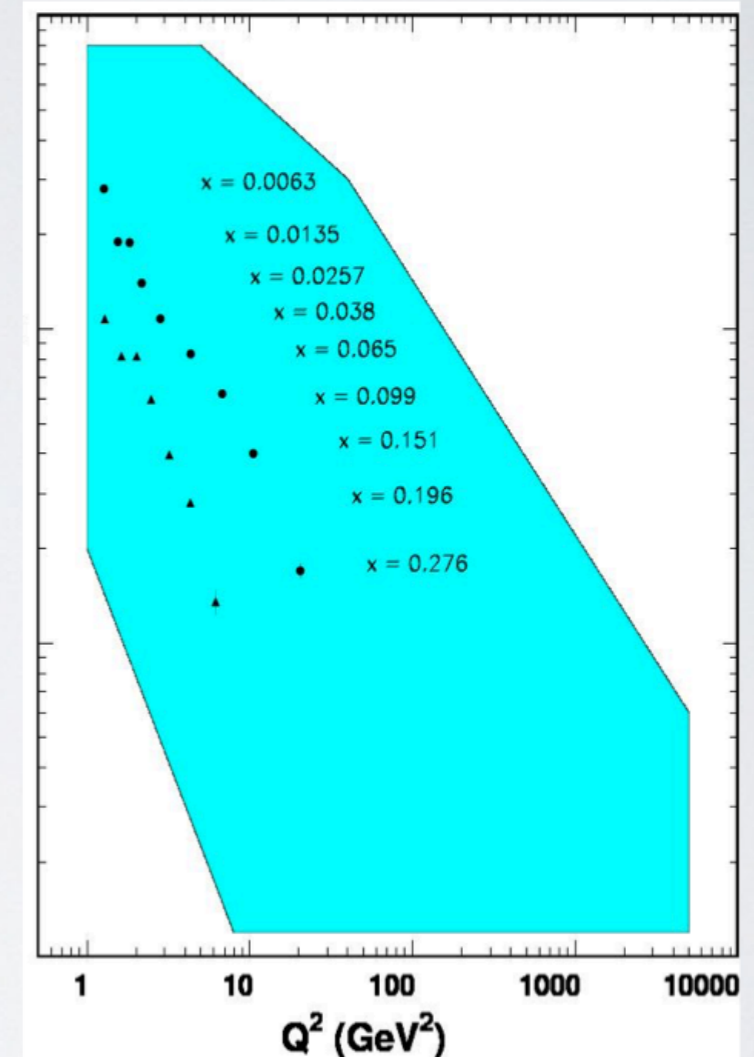
f_1 from fits of
thousands data

World data for g_1^p



g_1 from fits of
hundreds data

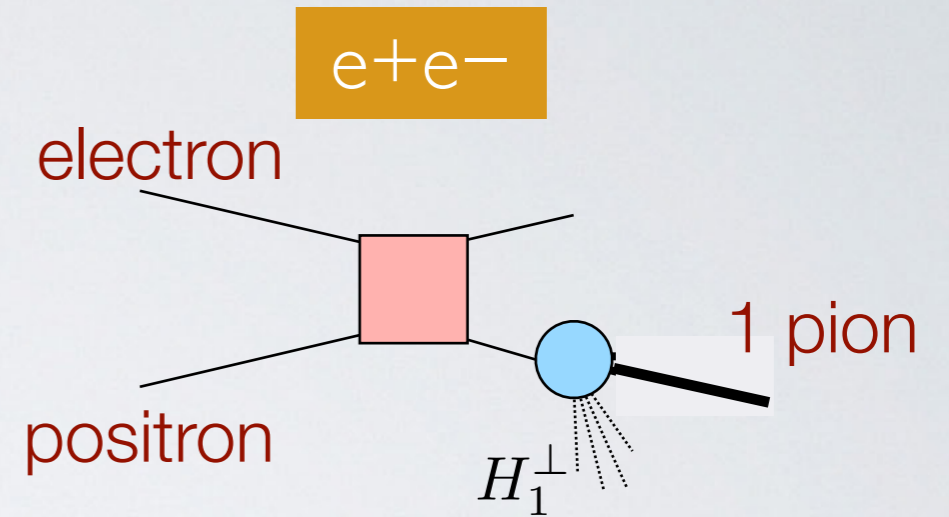
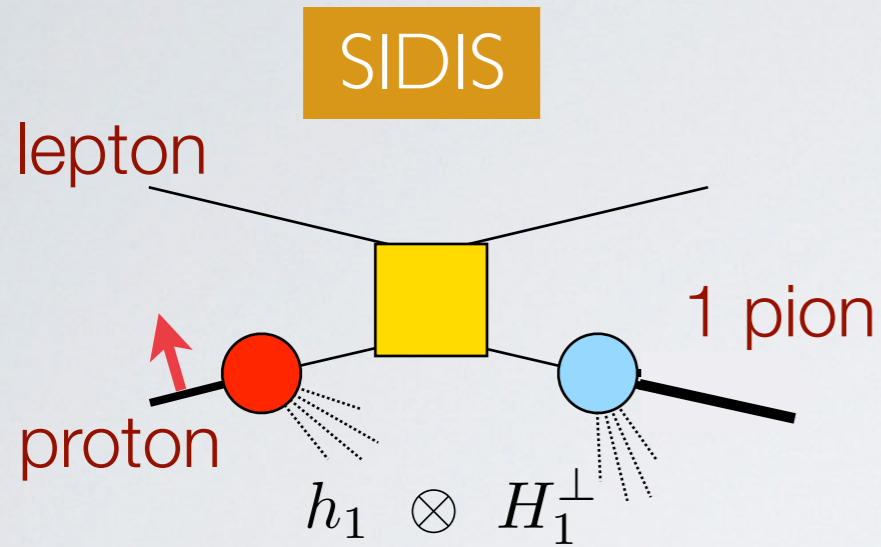
World data for h_1



h_1 from fits of
tens data

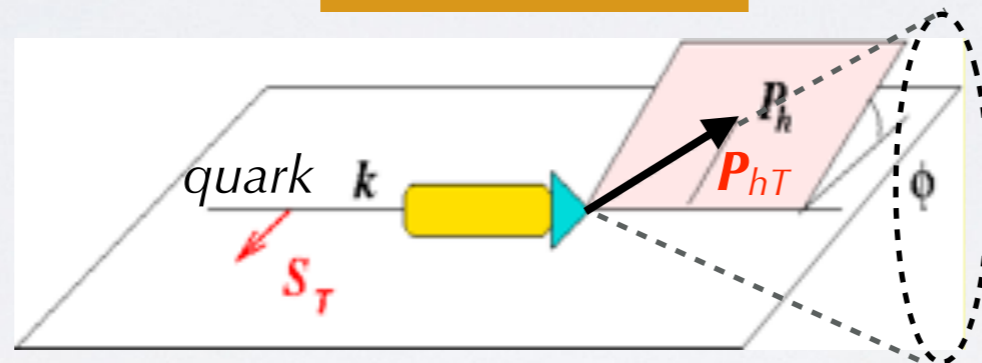
*slide from H. Montgomery,
QCD Evolution 2016*

extraction from 1-hadron-inclusive data

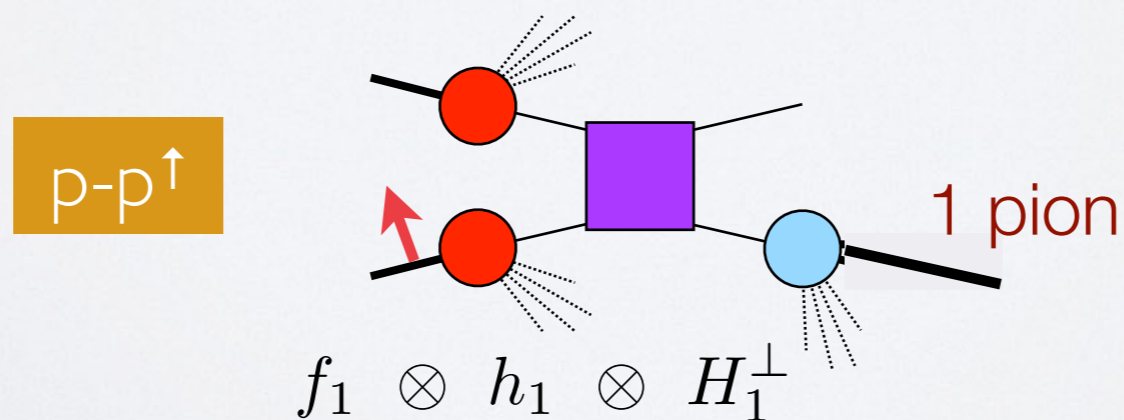


Collins effect

Collins,
N.P. **B396** (93) 161





correlation S_T and P_{hT} \rightarrow azimuthal asymmetry

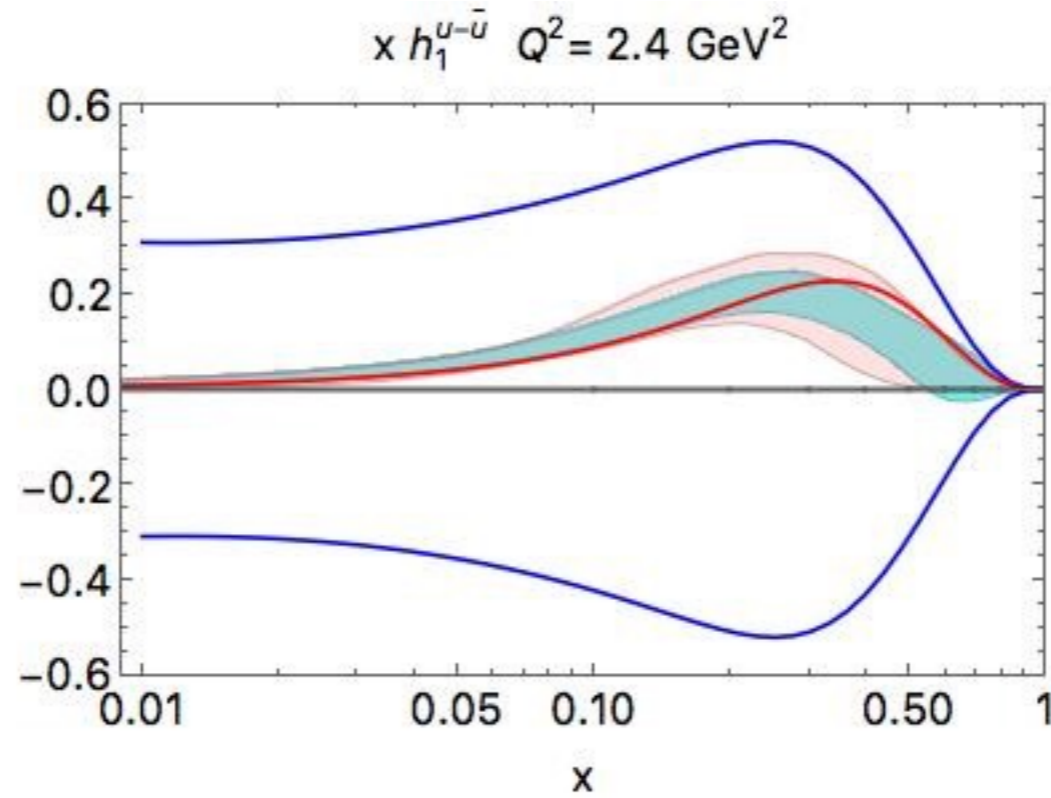
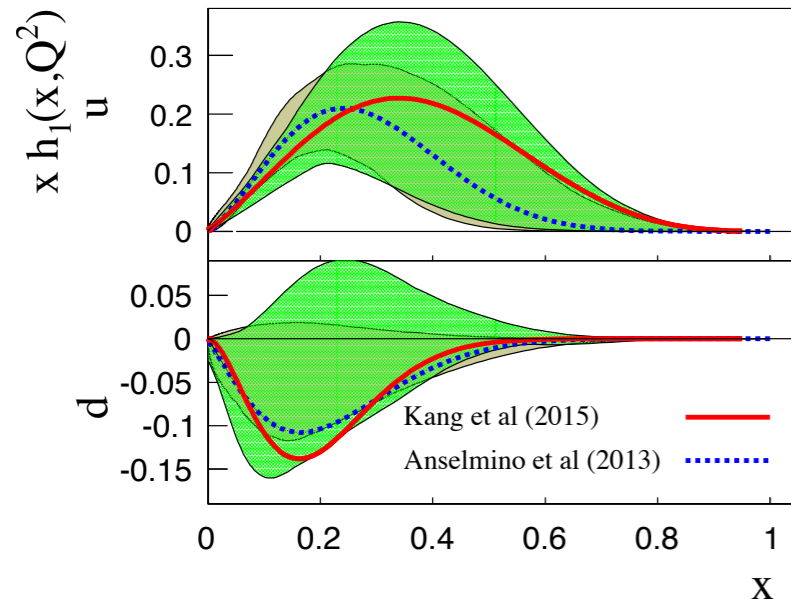


framework
TMD
factorization
 $P_{hT} \ll Q$

Comparison with Collins effect

 Kang et al. ("TMDfit"),
P.R. D93 (16) 014009

 Anselmino et al. (Torino),
P.R. D87 (13) 094019



up

global fit

Torino

"TMDfit"

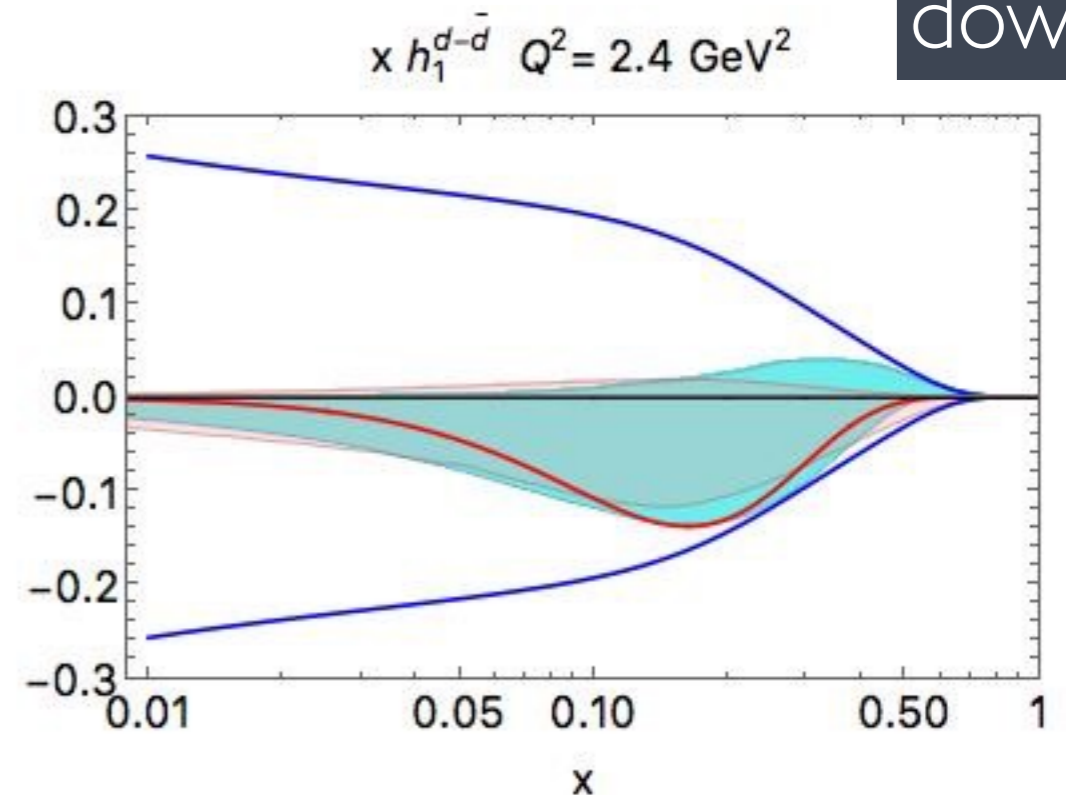
global fit : • up: gain precision
• down: compatible

also from forward limit of chiral-odd GPD H_T

Goldstein et al., P.R. D91 (15) 114013

also possible on lattice (LAMET): "quasi-PDF"

Chen et al., arXiv:1603.06664



down

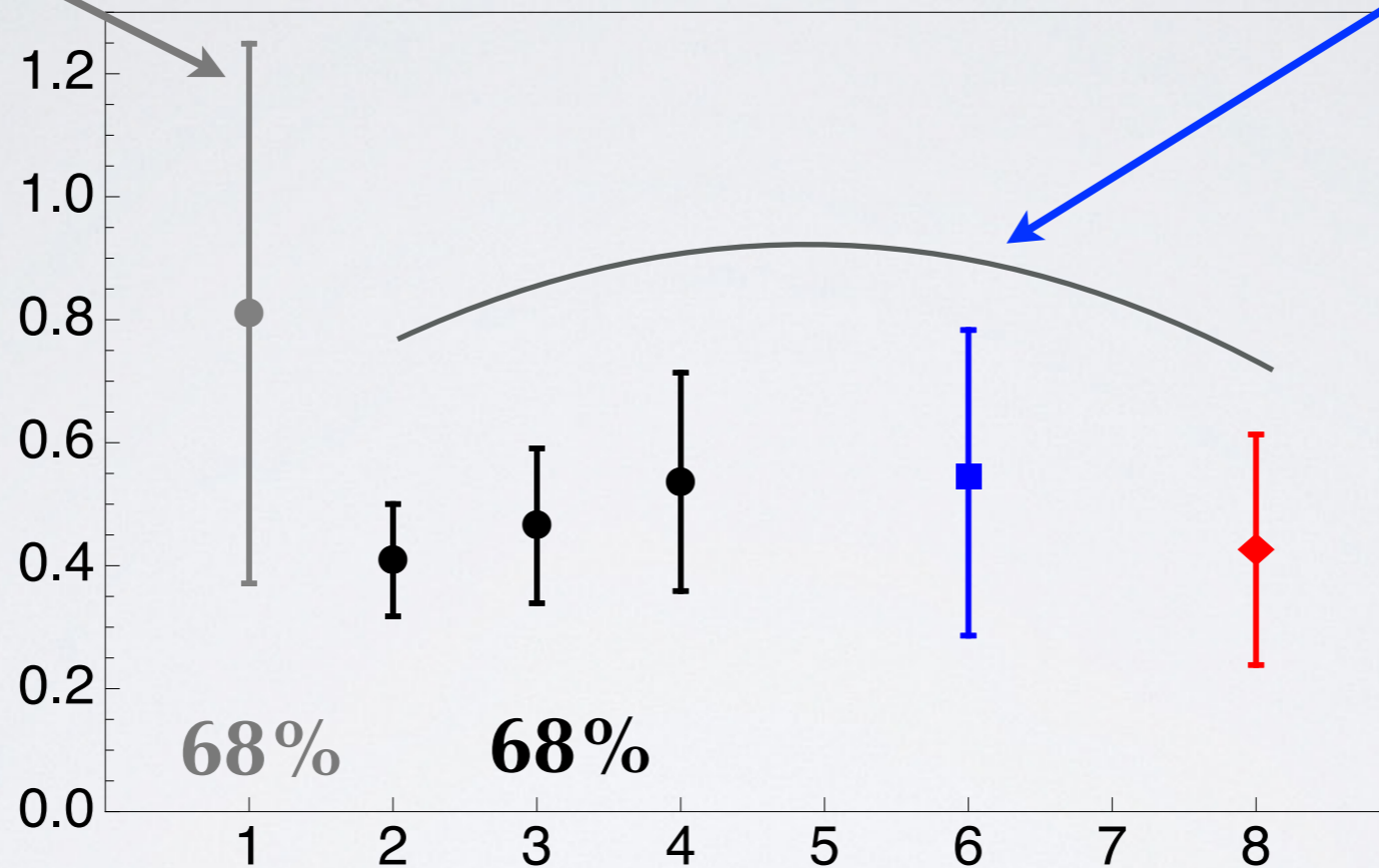
isovector tensor charge $g_T^{u-d} = \delta_u - \delta_d$

old fit

*Radici et al.,
JHEP 1505 (15) 123*

$$g_T^{u-d} = \delta_u - \delta_d \quad Q^2 = 4 \text{ GeV}^2$$

global fit



$$D_1^g = 0 \quad D_1^g = 0$$

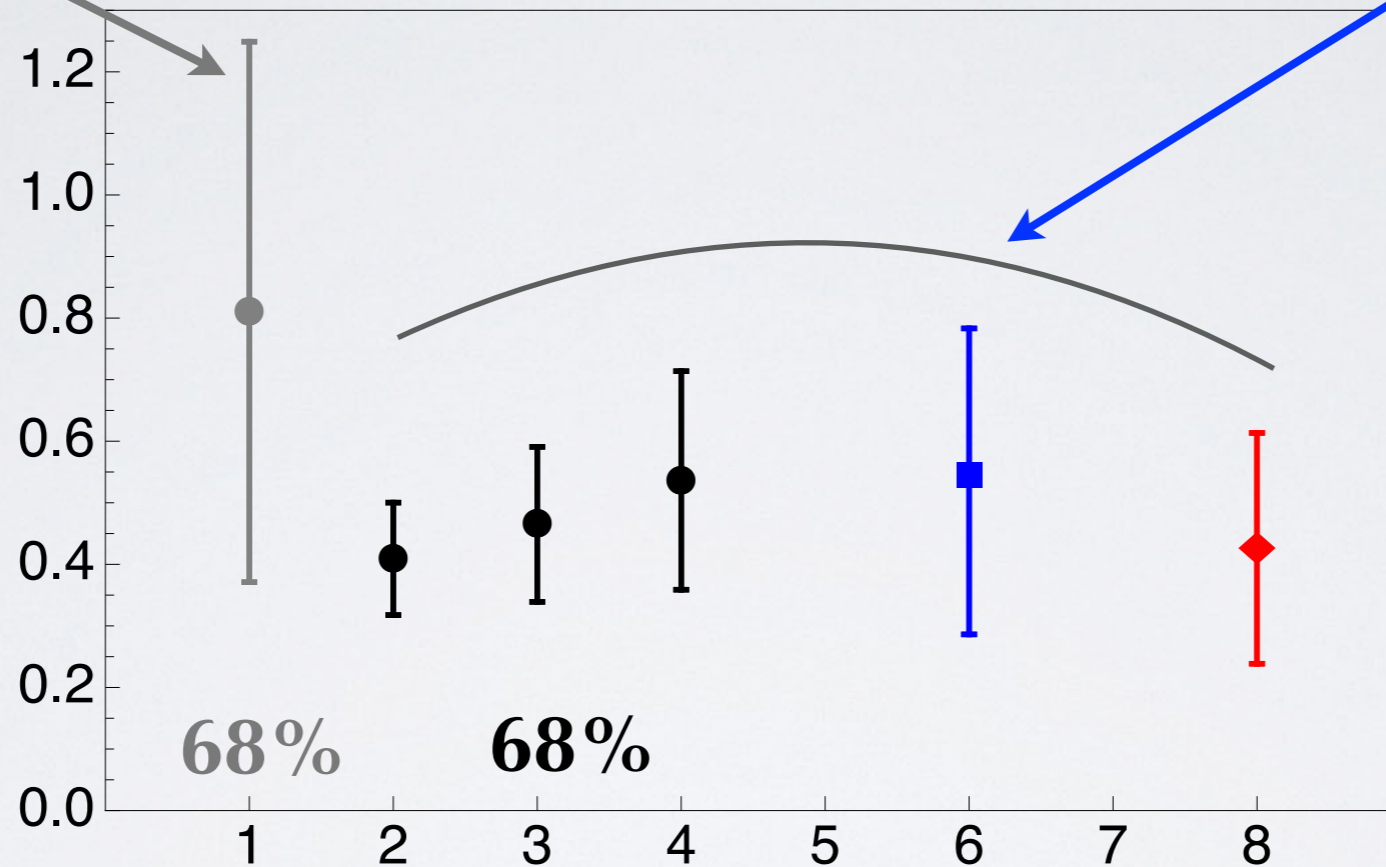
isovector tensor charge $g_T^{u-d} = \delta_u - \delta_d$

old fit

*Radici et al.,
JHEP 1505 (15) 123*

$$g_T^{u-d} = \delta_u - \delta_d \quad Q^2 = 4 \text{ GeV}^2$$

global fit



$$D_1^g = 0$$

$$D_1^g = 0$$

$$D_1^g = \begin{cases} 0 \\ D_1^u/4 \end{cases}$$

$$D_1^g = \begin{cases} 0 \\ D_1^u/4 \\ D_1^u \end{cases}$$

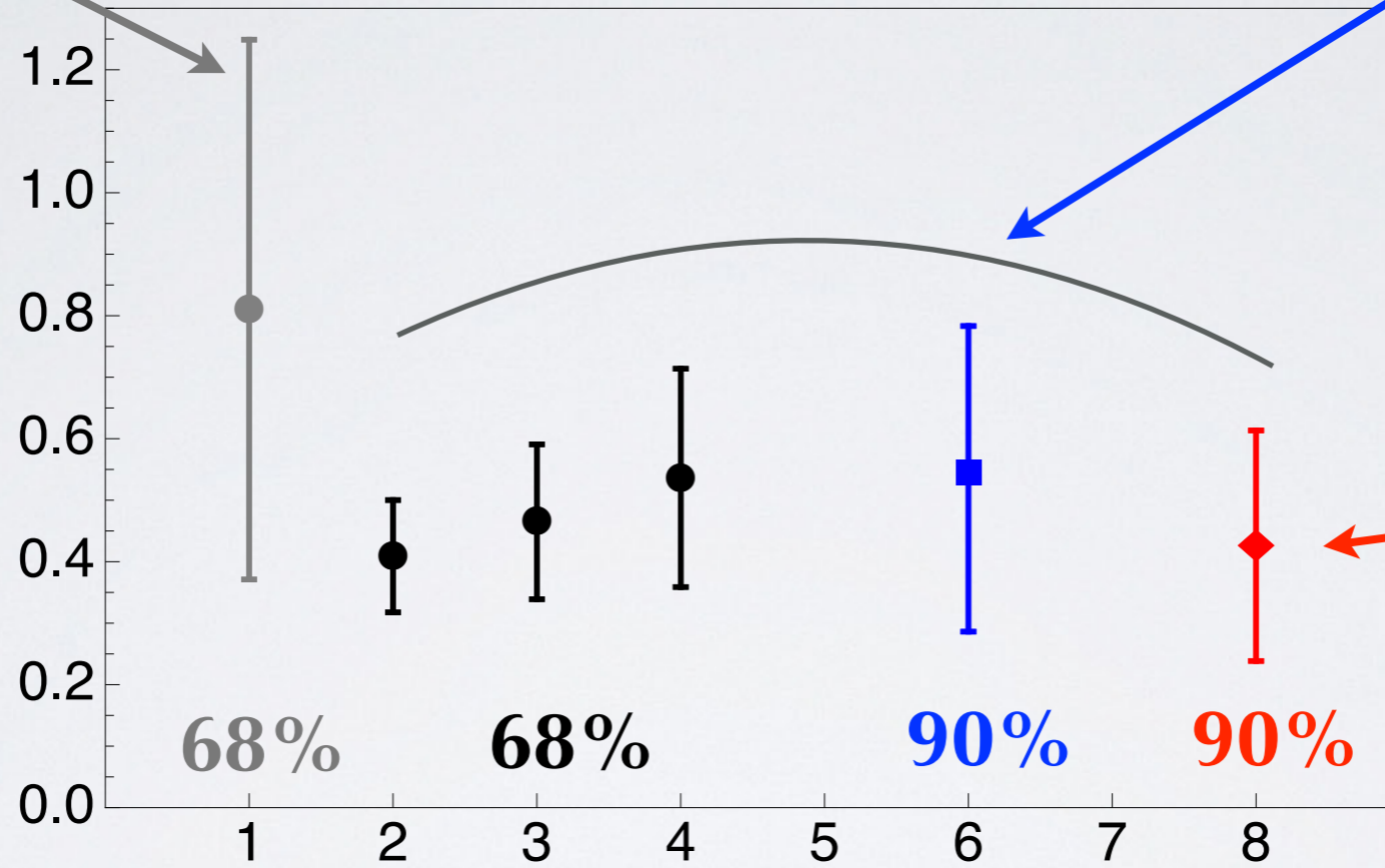
isovector tensor charge $g_T^{u-d} = \delta_u - \delta_d$

old fit

*Radici et al.,
JHEP 1505 (15) 123*

$$g_T^{u-d} = \delta_u - \delta_d \quad Q^2 = 4 \text{ GeV}^2$$

global fit



truncated

$$D_{1g} = 0$$

$$D_{1g} = 0$$

$$D_{1g} = \begin{cases} 0 \\ D_1^u/4 \end{cases}$$

$$D_{1g} = \begin{cases} 0 \\ D_1^u/4 \\ D_1^u \end{cases}$$

$$D_{1g} = \begin{cases} 0 \\ D_1^u/4 \\ D_1^u \end{cases}$$