

Purely leptonic b - c decays @ LHC(b)

A.Mordá

INFN - Padova

12th Meeting on B Physics

Napoli

24th May 2017



Introduction

Purely leptonic $B_{(s)}^{0,\pm}$ decays :

- ▶ a unique laboratory to detect new dynamics
- ▶ theoretically clean: only **one hadronic non perturbative input** f_B
- ▶ helicity suppression: $\mathcal{B}(\text{decay}) \propto m_\ell$

Charged currents

$$B^\pm \rightarrow \ell^\pm \nu_\ell$$

missing energy
clean environment

SM FCNC

$$B_{(s)}^0 \rightarrow \ell^\pm \ell^\mp$$

very rare (& missing energy for $\ell = \tau$)
high statistic & clean environment

LFV

$$B_{(s)}^0 \rightarrow \ell^\pm \ell'^\mp$$

very rare (& missing energy for $\ell = \tau$)
high statistic & clean environment

LHC experiments focused on $B_{(s)}^0 \rightarrow \ell \ell^{(\prime)}$

None of these modes observed before the LHC

Main observables are branching ratios \mathcal{B}

... plus a plethora of angular observables & ratios of \mathcal{B} sensitive to MFV & LFU departures

$B_{(s)}^0 \rightarrow \ell\ell$ observables

$$\mathcal{H}_{\text{eff}} = -\frac{4G_F}{\sqrt{2}} V_{tb} V_{tq}^* \frac{e^2}{16\pi^2} \left\{ C_{10}^{(\prime)} (\bar{b}\gamma^\mu P_{L(R)} q_d) (\bar{\ell}\gamma_\mu \gamma^5 \ell) + C_P^{(\prime)} m_b (\bar{b} P_{L(R)} q_d) (\bar{\ell} \gamma^5 \ell) + C_S^{(\prime)} m_b (\bar{b} P_{L(R)} q_d) (\bar{\ell} \ell) \right\}$$

- The expression for the CP-averaged \mathcal{B} at $t = 0$ is $\left(\beta_\ell \equiv 1 - 4 \frac{m_\ell^2}{M_{B_q}^2} \right)$

in SM only $B_{q,H}^0 \rightarrow \ell^+ \ell^-$

$$\mathcal{B}(B_q^0 \rightarrow \ell^+ \ell^-) \propto f_{B_q}^2 \left\{ \left| 2 \frac{m_\ell}{M_{B_q}} (C_{10} - C'_{10}) + (C_P - C'_P) \right|^2 + \beta_\ell |C_S - C'_S|^2 \right\}$$

$$\mathcal{A}_{\Delta\Gamma} \equiv \frac{R_{\ell\ell}^H - R_{\ell\ell}^L}{R_{\ell\ell}^H + R_{\ell\ell}^L} = 1$$

with $\Gamma(B_{H,L}^0(t) \rightarrow \ell\ell) \equiv R_{\ell\ell}^{H,L} e^{-\Gamma_{H,L} t}$

- In the SM:**
 - $C_{S,P}^{(\prime)}, C'_{10} \simeq 0$
 - helicity suppression
- NP scenarios:**
 - $C_{S,P}^{(\prime)}, C'_{10} \neq 0$, $C_{10} = C_{10}^{SM} + \delta C_{10}^{NP}$
 - No helicity suppression
- one hadronic input ($f_{B_s} = 227.7 \pm 4.5$ MeV) [FLAG, '13]
- \mathcal{B} constrains only the differences $C_i - C'_i$
- \mathcal{B} can be enhanced or suppressed wrt to the SM prediction

- $\mathcal{A}_{\Delta\Gamma}$ measurable through

$$\tau_{\ell\ell} = \frac{\tau_B}{1 - y_s^2} \left[\frac{1 + 2\mathcal{A}_{\Delta\Gamma} y_s + y_s^2}{1 + \mathcal{A}_{\Delta\Gamma} y_s} \right]$$

being

$$y_s \equiv \frac{\Gamma_H - \Gamma_L}{\Gamma_H + \Gamma_L} = 0.061 \pm 0.006$$

$B_{(s)}^0 \rightarrow \ell\ell$ SM predictions

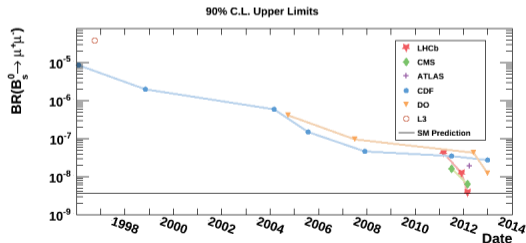
SM predictions [Bobeth *et al.*, PRL 112(2014)101801]:

$$\mathcal{BR}(B^0 \rightarrow \mu^+ \mu^-) = (1.06 \pm 0.09) \times 10^{-10}$$

$$\mathcal{BR}(B_s^0 \rightarrow \mu^+ \mu^-) = (3.65 \pm 0.23) \times 10^{-9}$$

$$\mathcal{BR}(B^0 \rightarrow \tau^+ \tau^-) = (2.22 \pm 0.19) \times 10^{-8}$$

$$\mathcal{BR}(B_s^0 \rightarrow \tau^+ \tau^-) = (7.73 \pm 0.49) \times 10^{-7}$$



b - c hadron leptonic decays searches with Run 1 data

- ▶ $D^0 \rightarrow \mu\mu$ [LHCb, arXiv:1305.5059]
- ▶ $B_{(s)}^0 \rightarrow e^\pm \mu^\mp$ [LHCb, PRL 111 (2013) 141801]
- ▶ $B_{(s)}^0 \rightarrow \mu^+ \mu^- \mu^+ \mu^-$ [LHCb, PRL 110, 211801 (2013)]

$B_{(s)}^0 \rightarrow \mu\mu$ milestones

- ▶ first evidence $B_s^0 \rightarrow \mu\mu$ [LHCb, PRL 110, 021801 (2013)]
- ▶ first observation $B_s^0 \rightarrow \mu\mu$
first evidence $B^0 \rightarrow \mu\mu$ [LHCb & CMS, Nature 522 (2015) 68]

Recent activities in $B_{(s)}^0 \rightarrow \ell\ell$

- ▶ search for $D^0 \rightarrow e^\pm \mu^\mp$ [LHCb, Phys. Lett. B754 (2016) 167]
- ▶ search for $B_{(s)}^0 \rightarrow \mu\mu$ [ATLAS, EPJ C76 (2016) 513]
- ▶ **update $B_s^0 \rightarrow \mu\mu$**
- ▶ **first search $B_s^0 \rightarrow \tau\tau$**

[LHCb '17]

Today

$B_{(s)}^0 \rightarrow \mu^+ \mu^-$ - Run 1 & 2 - [LHCb, arXiv:1703.05747, submitted to PRL]

The strategy is unchanged with respect to previous LHCb analyses

$$\mathcal{B}(B_q^0 \rightarrow \mu^+ \mu^-) = \frac{1}{\epsilon} \frac{\mathcal{N}_{B_q^0 \rightarrow \mu^+ \mu^-}^{\text{obs}}}{\mathcal{N}_{B_q}^{\text{tot}}}$$

Dataset: 4.4 fb^{-1} (1+2+1.4 fb^{-1} @ 7,8,13 TeV)

Analysis flow

- ▶ candidates reconstruction
- ▶ selection
- ▶ $m_{\mu\mu} \otimes$ geometry classification
- ▶ normalization
- ▶ signal yield extraction and conversion to \mathcal{B}

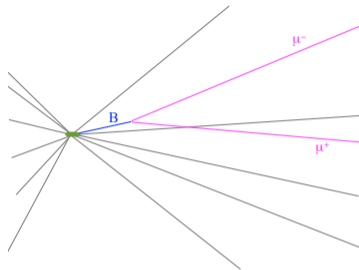
Normalization channels

- ▶ same topology: $B^0 \rightarrow K^+ \pi^-$
- ▶ 2 μ from one vertex: $B^+ \rightarrow J/\psi(\rightarrow \mu^+ \mu^-) K^+$

Main improvements:

- ▶ Particle Identification ($\pi, K \rightarrow \mu$ misID)
- ▶ MVA classification

Candidates reconstruction



- ▶ pair of μ^\pm
- ▶ $0.25 < p_T < 40$ GeV & $p < 500$ GeV
- ▶ large Impact Parameter (IP) wrt PV
- ▶ good quality vertex well displaced PV
- ▶ **tight μ ID requirements**

- ▶ $m_{\mu\mu} \in [4900, 6000]$ GeV
- ▶ veto on $m_{\mu\mu^*} \in [m_{J/\psi} \pm 30]$ MeV, μ^* any other μ track in the event
- ▶ loose cut on MVA output with kinematic & geometrical inputs

drop of 50% misID $B^0 \rightarrow hh'$ ($h^{(\prime)} = K, \pi$) for 90% signal efficiency

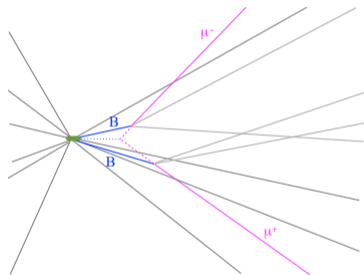
total selected candidates for \mathcal{B} measurement: 78241

Background

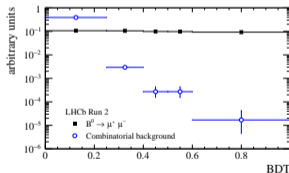
the most abundant source of noise are random combinations of μ tracks from b -hadron decays in the same event

Discrimination achieved through a BDT classifier

- Inputs
 - ▶ pointing related variables
 - ▶ vertex quality
 - ▶ **isolation variables**



Combinatorial background candidate



Correlation with $m_{\mu\mu} \sim 3\%$

output flat by design for signal MC

$\sim 50\%$ less combinatorial bkg in $\text{BDT} > 0.25$ wrt previous LHCb analyses

b -hadron decays

Two categories

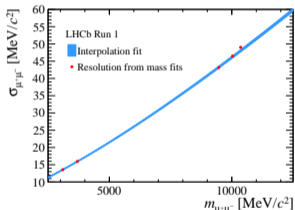
- with misID $K, \pi \rightarrow \mu$
 - ▶ $B_{(s)}^0 \rightarrow hh^{(\prime)}$, $B_{(s)}^0 \rightarrow h\mu^+\nu_\mu$, $\Lambda_b^0 \rightarrow p\mu^-\bar{\nu}_\mu$
- with 2 μ from same vertex
 - ▶ $B_c^+ \rightarrow J/\psi(\rightarrow \mu\mu)\mu^+\nu_\mu$,
 $B^{0(+)} \rightarrow \pi^{0,(+)}\mu^+\mu^-$

mode	yield in BDT>0.5
$B_{(s)}^0 \rightarrow hh^{(\prime)}$	2.9 ± 0.3
$B_c^+ \rightarrow J/\psi\mu^+\nu_\mu$	1.2 ± 0.2
$\Lambda_b^0 \rightarrow p\mu^-\bar{\nu}_\mu$	0.7 ± 0.2
$B_{(s)}^0 \rightarrow h\mu^+\nu_\mu$	0.8 ± 0.06

BDT & $m_{\mu\mu}$ shape

• Signal PDF

- ▶ BDT from $B^0 \rightarrow K^+\pi^-$ in data
- ▶ $m_{\mu\mu}$ Crystal Ball:
 - ▶ power-law tail exponent and transition point from simulations
 - ▶ resolution from interpolation of $\mu\mu$ resonances: $\sigma_{\mu\mu} = 23$ MeV



• combinatorial background

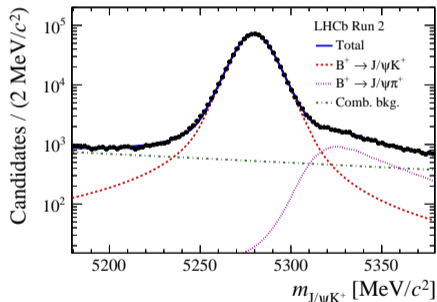
- ▶ BDT from $m_{\mu\mu}$ sidebands
- ▶ $m_{\mu\mu}$ extrapolated from $m_{\mu\mu}$ sidebands
- **b -hadron decays:** $m_{\mu\mu}$ & BDT from simulation

Normalization

$$\mathcal{B}(B_{(s)}^0 \rightarrow \mu^+ \mu^-) = \frac{\mathcal{B}_{norm}}{N_{norm}} \cdot \frac{\epsilon_{norm}}{\epsilon_{sig}} \cdot \frac{f_{norm}}{f_{d(s)}} \cdot N_{sig} \equiv \alpha_{B_{(s)}^0}^{norm} \cdot N_{sig}^{d(s)}$$

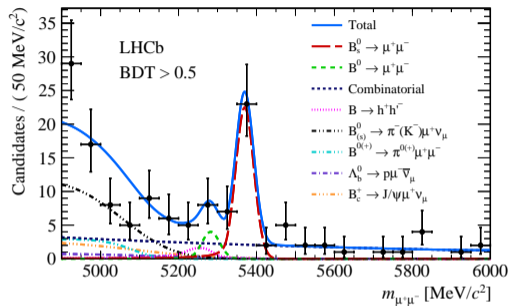
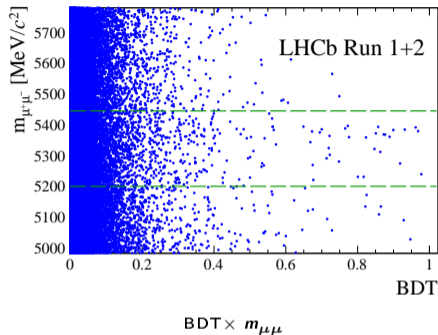
- ▶ **yield of normalization channel events**
- ▶ **total efficiencies**
 - ▶ trigger: data driven method
 - ▶ acceptance, reconstruction, selection: using simulation
 - ▶ tracking, PID: on data through control channels
- ▶ **hadronization factor**
 - ▶ measured by LHCb [LHCb JHEP 04 (2013) 001], LHCb-CONF-2013-011

N_{norm} for $B^+ \rightarrow J/\psi K^+$: $(1964.2 \pm 1.5) \cdot 10^3$



$$\alpha_{B_s^0}^{norm} = (5.7 \pm 0.4) \cdot 10^{-11}, \quad \alpha_{B^0}^{norm} = (1.60 \pm 0.04) \cdot 10^{-11}$$

Results



No evidence for $B^0 \rightarrow \mu^+\mu^- \Rightarrow$ Upper Limit @ 95%

$$\mathcal{B}(B^0 \rightarrow \mu^+\mu^-) < 3.4 \cdot 10^{-10}$$

7.8σ excess for $B_s^0 \rightarrow \mu^+\mu^-$. **First single experiment observation**

$$\mathcal{B}(B_s^0 \rightarrow \mu^+\mu^-) = 3.0 \pm 0.6_{-0.2}^{+0.3} \cdot 10^{-9}$$

$\tau_{\mu\mu}$ measurement

The strategy:

- ▶ Selection of $B_s^0 \rightarrow \mu^+ \mu^-$ candidates
- ▶ evaluation of bias due to reconstruction & selection: acceptance function
- ▶ *sPlot* technique to statistically separate signal & background
- ▶ fit to signal decay time distribution

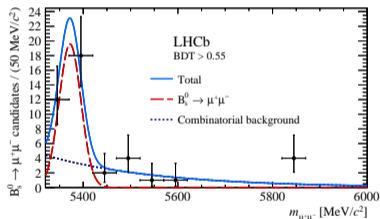
$B_s^0 \rightarrow \mu^+ \mu^-$ selection

- similar requirements of \mathcal{B} measurement, except
- ▶ reduced $m_{\mu\mu}$ ([5320, 6000] MeV) range \Rightarrow remove B^0 & exclusive decays
- ▶ looser PID requirements \Rightarrow increase of the statistics
- ▶ cut on BDT output > 0.55

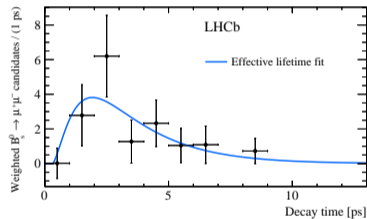
42 candidates in selected sample

$\tau_{\mu\mu}$ measurement

- Mass fit
 - ▶ only $B_s^0 \rightarrow \mu^+ \mu^-$ & combinatorial
 - ▶ same parametrization used for \mathcal{B} measurement
 - ▶ correlation between $m_{\mu\mu}$ & $\tau_{\mu\mu} \leq 3\%$



- $B_s^0 \rightarrow \mu^+ \mu^-$ acceptance
 - ▶ Effects of trigger and selection evaluated on simulations
 - ▶ cross-check on $B^0 \rightarrow K^+ \pi^-$
- $t_{\mu\mu}$ fit



background subtracted $\tau_{\mu\mu}$ distribution

$$\tau_{\mu\mu} = 2.04 \pm 0.44 \pm 0.05 \text{ ps}$$

$$\tau_{\mu\mu} \text{ consistent with } \mathcal{A}_{\Delta\Gamma} = 1(-1) @ 1.0(1.4) \sigma$$

“this result establishes the potential of the effective lifetime measurement in constraining New Physics scenarios with the datasets that LHCb is expected to collect in the coming years”

$B_{(s)}^0 \rightarrow \tau^+ \tau^-$ @ LHCb - Run 1 [LHCb, arXiv:1703.02508, accepted in PRL]

Status before LHC

- ▶ $\mathcal{B}(B_d^0 \rightarrow \tau^+ \tau^-) < 4 \cdot 10^{-3}$ @ 90% CL by BaBar [PRL 96 (2006) 241802]
- ▶ $\mathcal{B}(B_s^0 \rightarrow \tau^+ \tau^-)$ only indirect constraints \sim %

Pioneering analysis at an hadron machine

Dataset: 3 fb^{-1} ($1+2 \text{ fb}^{-1}$ @ 7,8 TeV)

exploits the $\tau^- \rightarrow \pi^+ \pi^- \pi^- \nu_\tau$ final state

- ▶ only two undetected ν_τ
- ▶ τ^\pm decay vertexes reconstructible
- ▶ Non trivial Dalitz structure of $\pi^+ \pi^- \pi^-$ system
- ▶ intermediate resonances:
 $\tau^- \rightarrow a_1^- (\rightarrow \rho^0 (\rightarrow \pi^+ \pi^-) \pi^-) \nu_\tau$
- ▶ $\mathcal{B}(\tau \rightarrow \pi^+ \pi^- \pi^- \nu_\tau) = (9.31 \pm 0.05)\%$

Analysis strategy:

- ▶ Reconstruction & selection
- ▶ Extraction of signal yield
- ▶ Use of $B^0 \rightarrow D^+ D_s^-$ as **normalization & control channel**
- ▶ Computation of Upper Limit (UL)

Signal modeled with simulated events

Data-driven techniques to describe the background sources

Candidate reconstruction & Dalitz plane structure

Candidate reconstruction similar for signal and normalization mode:

π^\pm requirements

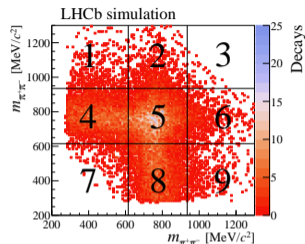
- ▶ Particle Identification,
- ▶ track quality,
- ▶ Impact Parameter wrt primary vertexes

τ^\pm reconstruction

- ▶ 3 tracks forming a good vertex

$B_{(s)}^0$ reconstruction

- ▶ pair of τ^\pm
- ▶ requirements on transverse momentum of B , τ and π

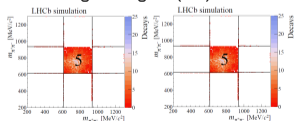


signal region $m_{\pi^+\pi^-} \in [0.615, 0.935]$ GeV

optimized for $B_s^0 \rightarrow \tau\tau$ sensitivity using pseudoexperiments

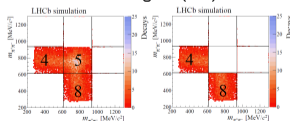
Dalitz plane used as handle to deal with huge amount of background (from $b \rightarrow c$ transitions)

Signal Region (SR)



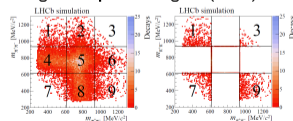
Signal search

Control Region (CR)



Background model

Signal Depleted Region (SDR)



Optimize selection

Candidates selection & classification

Requirement on reconstructed $B_{(s)}^0$ candidates:

- ▶ Dalitz plane selection
- ▶ charged tracks & neutral clusters isolations
- ▶ variables from analytic reconstruction [CERN-THESIS-2015-264]
- ▶ output of a Neural Network (NN) classifier combining kinematic, topology, & isolation variables

• efficiency of $B_{(s)}^0$ the selection (including geometrical acceptance):

$$2.2(2.4) \times 10^{-5}$$

• expected number of events in SM: 0.02

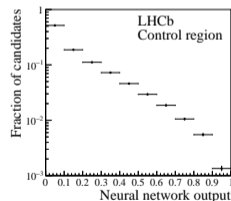
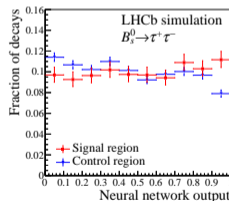
• fraction of selected candidates in regions:

	SR	CR	SDR
$B_{(s)}^0 \rightarrow \tau\tau$ MC	16 %	58 %	13 %
Data	7 %	47 %	37 %

14700 candidates selected in data SR

Discriminating variable

- output of a NN with 29 input variables
- trained on signal simulated events, and data from SDR
- output flat in $[0,1]$ by design for signal MC
- NN range divided in 10 bins
- $[0.7,1.0]$ not investigated till the fit strategy is fixed



Fit model

- The NN distribution is fitted to extract the signal yield
- Fit model given by:

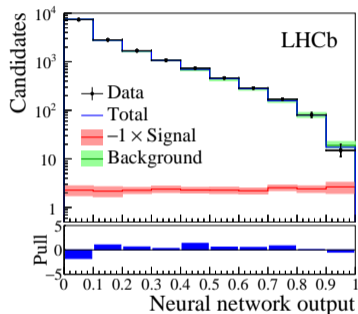
$$\mathcal{N}_{data}^{SR} = s \cdot \hat{\mathcal{N}}_{MC}^{SR} + f_b \cdot \left(\mathcal{N}_{data}^{CR} - s \cdot \frac{\epsilon^{CR}}{\epsilon^{SR}} \cdot \hat{\mathcal{N}}_{MC}^{CR} \right)$$

- ▶ signal yield
 - ▶ scaling factor for background template
 - ▶ correction for presence of signal candidates in CR ($\epsilon^{SR(CR)}$ signal efficiency in SR(CR))
- NN templates $\mathcal{N}_{MC,data}^{SR,CR}$ are taken
 - ▶ from simulation for $B_s^0 \rightarrow \tau\tau$
 - ▶ from data CR for background
 - Reliability of background NN template extrapolation from the CR to SR checked on
 - ▶ data for NN background dominated bin
 - ▶ generic $b\bar{b}$ sample
 - ▶ specific simulated background modes (e.g. $B^0 \rightarrow D^- \pi^+ \pi^- \pi^+$, $D^- \rightarrow K^0 \pi^+ \pi^- \pi^-$, $B_s^0 \rightarrow D_s^- (\rightarrow \tau \bar{\nu}_\tau) \pi^+ \pi^- \pi^+$)

Systematic uncertainties & fit results

Main sources of systematic uncertainties

- for signal:
 - ▶ mismodel of NN input variables in the simulation
 - ▶ NN shape computed after re-weighting
 - ▶ differences in NN shape wrt the nominal are assigned as systematics
- for background
 - ▶ extrapolation from the CR to SR
 - ▶ gaussian constraint on bin yield
 - ▶ range from difference of NN shape in control region subsamples



The signal yield is found being

$$s = -23 \pm 63(\text{stat}) \pm 31(\text{syst})$$

Normalization

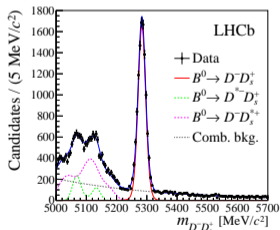
The measured signal yield is converted into a value of the branching fraction using the $B^0 \rightarrow D^- D_s^+$ normalization mode

$$\mathcal{B}(B_s^0 \rightarrow \tau\tau) = \alpha_s \cdot s$$

with

$$\alpha_{s,d} \equiv \frac{1}{N_{D^- D_s^+}^{obs}} \cdot \frac{\epsilon^{D^- D_s^+}}{\epsilon_{B_{s,d}}^{\tau\tau}} \cdot \frac{f_d}{f_s} \cdot \frac{\mathcal{B}(B^0 \rightarrow D^- D_s^+) \cdot \mathcal{B}(D^- D_s^+ \rightarrow \text{final states})}{[\mathcal{B}(\tau \rightarrow 3\pi\nu_\tau)]^2}$$

- ▶ from fit: 10629 ± 114
- ▶ measured by LHCb
- ▶ from simulation
- ▶ known



$$\alpha_s = (4.07 \pm 0.70) \times 10^{-5}, \quad \alpha_d = (1.16 \pm 0.19) \times 10^{-5}$$

Results

No evidence for signal is found

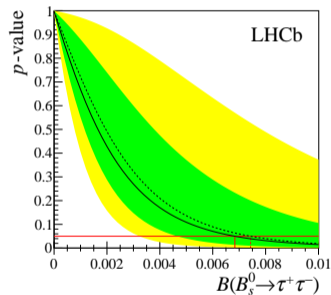
Computation of the 90%(95%) upper limit using the CL_s method

- Assuming no signal from B^0 , the first experimental UL for the B_s^0 is

$$\mathcal{B}(B_s^0 \rightarrow \tau^+ \tau^-) = 5.2(6.8) \cdot 10^{-3}$$

- Assuming no signal from B_s^0 , the world best UL for the B^0 is

$$\mathcal{B}(B^0 \rightarrow \tau^+ \tau^-) = 1.6(2.1) \cdot 10^{-3}$$



Conclusions

- Purely leptonic decays are a theoretically clean laboratory to look for new degrees of freedom
- Offer a wide range of observables in addition to \mathcal{B}
 - ▶ effective lifetime sensitive to different contributions of mass eigenstates
 - ▶ angular distributions (for τ final states) sensitive to ℓ polarization (left/right handed currents)
 - ▶ ratio of \mathcal{B} sensitive to MFV or LFU departures
- LHC experiment main target have been searches in FCNC with μ
 - ▶ large statistics sample
 - ▶ excellent detectors performances with μ
 - ▶ golden mode is $B_{(s)}^0 \rightarrow \mu^+ \mu^-$
- **First single experiment observation of $B_s^0 \rightarrow \mu^+ \mu^-$ from LHCb**
 - ▶ evidence for $B_s^0 \rightarrow \mu^+ \mu^-$ @ 7.8σ
 - ▶ *waiting for $B^0 \rightarrow \mu^+ \mu^-$*
 - ▶ first measurement of $\tau_{\mu\mu}$
 - ▶ no significant deviations from SM are observed
- **First search of $B_{(s)}^0 \rightarrow \tau^+ \tau^-$ from LHCb**
 - ▶ First upper limit on $B_s^0 \rightarrow \tau^+ \tau^-$
 - ▶ World best Upper limit in $B^0 \rightarrow \tau^+ \tau^-$
 - ▶ LHCb can deal with τ
 - ▶ relevant the interplay with Belle 2

Backup

$B \rightarrow \tau\tau$ signal simulation

- ▶ pp collision: PYTHIA
 - ▶ hadron decay: EvtGen
 - ▶ final state radiation: PHOTOS
 - ▶ interaction with detector: GEANT4
- ▶ $\tau \rightarrow 3\pi^\pm \nu_\tau$ resonance chiral lagrangian
 - ▶ TAUOLA with BaBar results
 - ▶ $\tau \rightarrow \pi^- \pi^0 \pi^0 \nu_\tau$ from CLEO

Effect of CLEO model:

- ▶ 20% higher efficiency:
- ▶ different intermediates resonances
- ▶ lower limit
- ▶ no impact on NN distribution

NN input variables

selection NN: 8 variables

- ▶ τ^\pm mass & decay time
- ▶ π^\pm isolation
- ▶ B^0 neutral isolation
- ▶ one variable from analytic reconstruction method

classification NN: 29 variables

- ▶ kinematic & geometrical
- ▶ π^\pm isolation
- ▶ B^0 neutral isolation
- ▶ 8 variables from analytic reconstruction method

Normalization factor

Uncertainties on normalization factor

- $B^0 \rightarrow D^- D_s^+$ fit model
 - ▶ Signal: Hypatia \rightarrow 2 gaussians with same mean and power law
 - ▶ combinatorial: exponential \rightarrow second order Chebychev
 - ▶ exclusive: add $B_S^0 \rightarrow D^- D_s^{*+}$ & $B^0 \rightarrow a_1(1260)^- D_s^{*+}$
 - ▶ relative uncertainty on α_s from $N_{D^- D_s^+}^{obs}$: 1.7 %
- external inputs
 - ▶ branching ratios
 - ▶ hadronization factor: accounts for 17% of total uncertainty on α_s
- finite size of simulated samples
- uncertainty from correction to simulation
 - ▶ control channels: $J/\psi \rightarrow \mu^+ \mu^-$ & $D^0 \rightarrow K^- \pi^+$
 - ▶ corrections to tracking, PID, hardware trigger efficiencies
- relative uncertainties on α_s from these two sources: 2.9 %

All the errors are added in quadrature to give

$$\alpha_s = (4.07 \pm 0.7) \cdot 10^{-5}$$

Systematic uncertainties

Main sources of systematic uncertainties

For signal:

- mismodel of NN input variables in the simulation
 - ▶ check distributions on $B^0 \rightarrow D^- D_s^+$ control sample in data
 - ▶ retrain NN with corrected input variable distributions
 - ▶ difference in NN output shape assigned as systematic
- $\tau \rightarrow 3\pi\nu_\tau$ decay model in simulation
 - ▶ checked using simulated data with a different τ decay model
 - ▶ can affect both the selection efficiencies and the signal template shape
 - ▶ negligible effect on the NN output shape
 - ▶ 20% effect on the efficiency \rightarrow assigned as systematic

$B \rightarrow \mu\mu$ BDT input variables

BDT selection

- ▶ $B_{(s)}^0$ candidate direction
- ▶ $B_{(s)}^0$ impact parameter wrt its PV
- ▶ separation between μ^\pm tracks and IP wrt any PV

isolation variables function of distance between the μ & other tracks

proximity quantified by a MVA output with inputs:

- ▶ angular and spatial separation between μ & other track
- ▶ signed distance between μ track and B candidate PD
- ▶ kinematic and impact parameter information of μ track

BDT classification

- ▶ μ isolation
- ▶ $\min \chi^2$ of μ^\pm wrt B candidate PV
- ▶ $\hat{p}_B \cdot \hat{r}_B$ pointing
- ▶ B vertex fit χ^2 and IP χ^2

$\frac{f_s}{f_b}$ measurement LHCb

$\frac{f_s}{f_b}$ @ 7 TeV measured by LHCb

$$\frac{f_s}{f_b} = 0.259 \pm 0.015$$

- stability @ 8 & 13 TeV evaluated looking at variation of ratio of $B_s^0 \rightarrow J/\psi\phi$ & $B^+ \rightarrow J/\psi K^+$
- effect of increase in \sqrt{s}
 - ▶ negligible for 8 TeV
 - ▶ scaling factor of 1.068 ± 0.046 applied for 13 TeV

$B \rightarrow \mu\mu$ Fit details

- ▶ Run 1 & 2 *each* divided into 5 BDT BDT bins [0.0,0.25,0.4,0.5,0.6]
 - ▶ $\mathcal{B}(B_{(s)}^0 \rightarrow \mu\mu)$ determined through a simultaneous fit to $m_{\mu\mu}$ in $5 \otimes 2$ BDT bins
 - ▶ free parameters:
 - ▶ $\mathcal{B}(B_{(s)}^0 \rightarrow \mu\mu)$
 - ▶ parameters of Crystal Ball constrained to their expectation within their errors
 - ▶ combinatorial: common shape in BDT bins of a dataset, free yield
 - ▶ exclusives:
 - ▶ included as separate components in the fit
 - ▶ total and single BDT bin gaussianly constrained to their expectations
 - ▶ mass shape from simulations for each BDT bin
- Dependence on $\mathcal{A}_{\Delta\Gamma}$
- ▶ affects selection efficiency & BDT output
 - ▶ Fit done assuming the SM value $\mathcal{A}_{\Delta\Gamma} = 1$
 - model dependence evaluated repeating the fit with $\mathcal{A}_{\Delta\Gamma} = 0, -1$
 - manifests an increase of $\mathcal{B}(B_{(s)}^0 \rightarrow \mu\mu)$ wrt SM of 4.6% & 10.9%
 - dependence approximately linear in the physical region

$\tau_{\mu\mu}$ acceptance function

- variation of trigger and selection efficiency with decay time corrected by introducing an acceptance function
- acceptance function determined through simulated events, weighted to match properties observed in data
- Validation of simulation through control channel $B^0 \rightarrow K^+ \pi^-$

$$\tau_{K\pi} = 1.52 \pm 0.03(\text{stat})$$

in agreement with world average

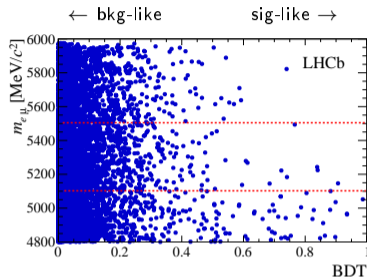
- statistical uncertainty on $\tau_{K\pi}$ assigned as systematic due to use of simulation to determine acceptance function

Title

$$B_{(s)}^0 \rightarrow e^\pm \mu^\mp \quad [\text{PRL 111 (2013) 141801}]$$

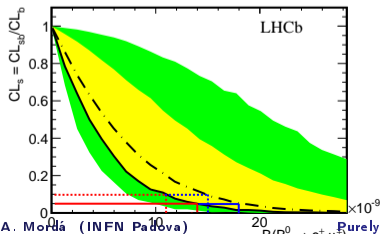
Strategy á la $B_{(s)}^0 \rightarrow \mu\mu$

- ▶ Dataset: 1 fb^{-1} collected in 2011 at $\sqrt{s} = 7 \text{ TeV}$
- ▶ $B^0 \rightarrow K\pi$ as normalization channel
- ▶ events classification in $m_{e\mu}$ - BDT plane



No excess over background is seen \Rightarrow upper limit on $BR(B_{(s)}^0 \rightarrow e\mu)$ is obtained using the CL_s method

$B_s^0 \rightarrow e\mu$, background-only expectation



Results

$$BR(B_s^0 \rightarrow e\mu) < 1.1(1.4) \cdot 10^{-8} \text{ @ } 90(95)\% \text{ CL}$$

$$BR(B^0 \rightarrow e\mu) < 2.8(3.7) \cdot 10^{-9} \text{ @ } 90(95)\% \text{ CL}$$

~ 20 times more stringent than previous limits