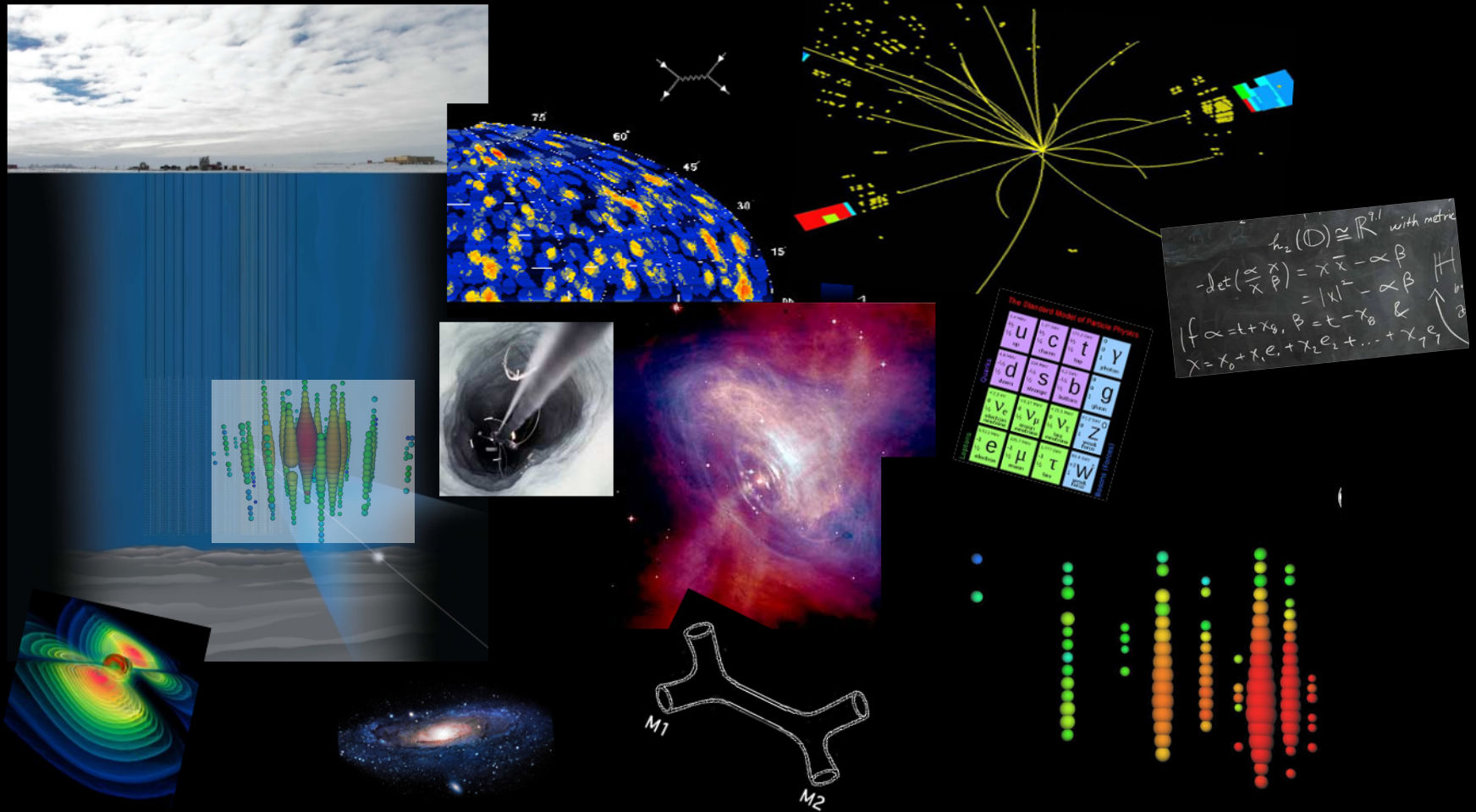
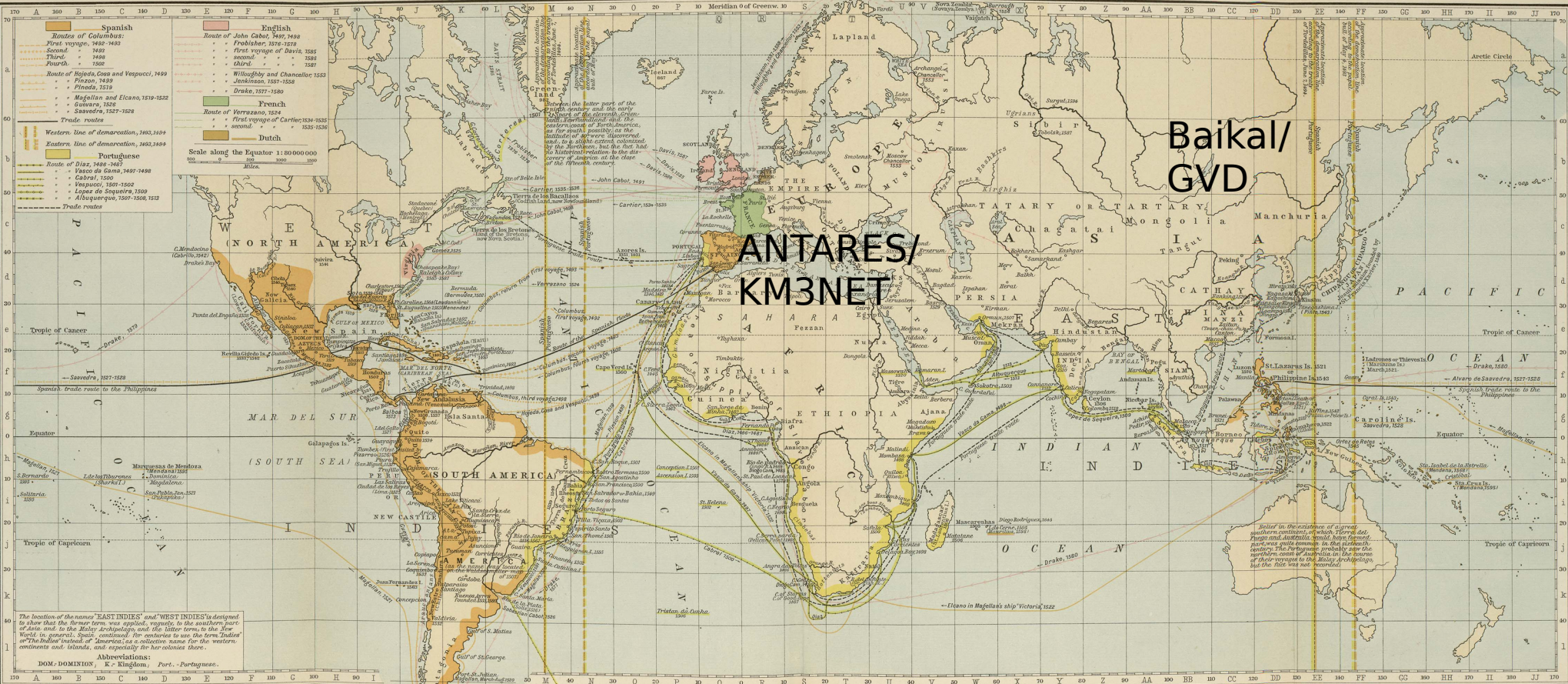


Particle Physics with Neutrino Telescopes



Carlos de los Heros, Uppsala University

Workshop on Perspectives in Astroparticle Physics from High Energy Neutrinos
Naples, September 25-26, 2017.

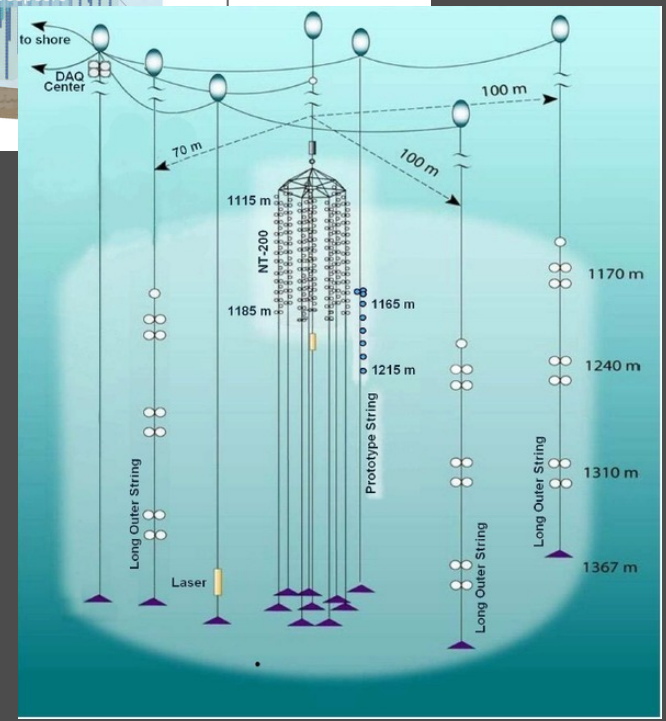
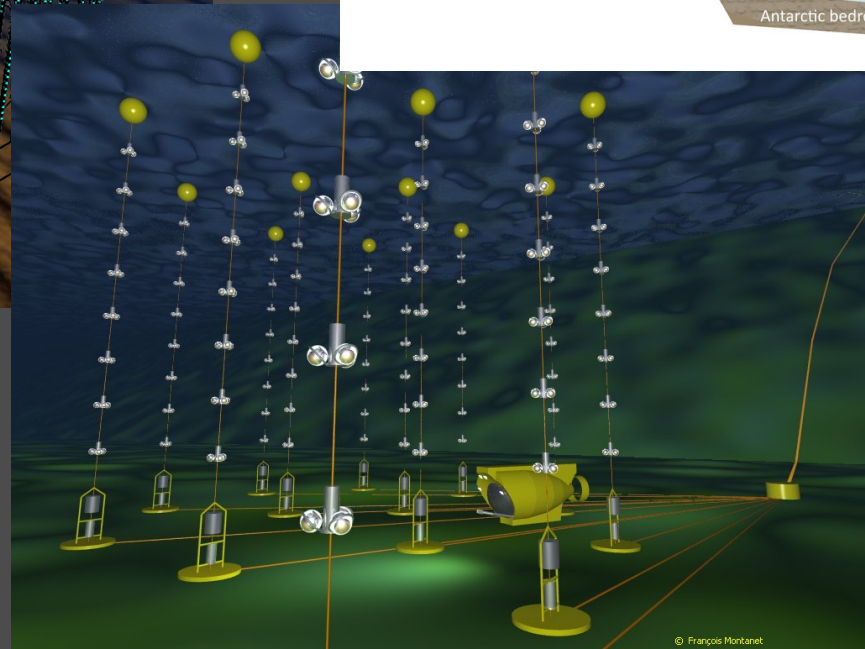
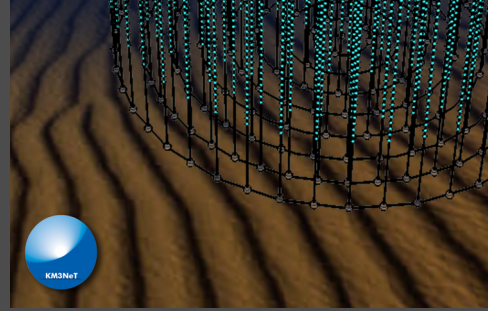
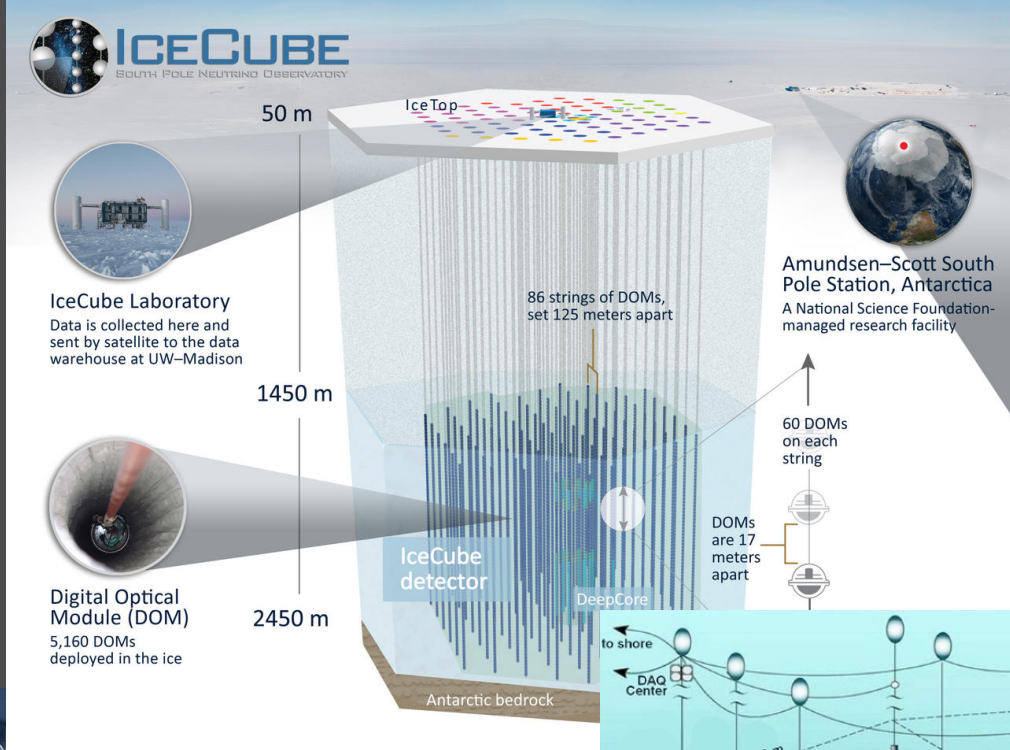
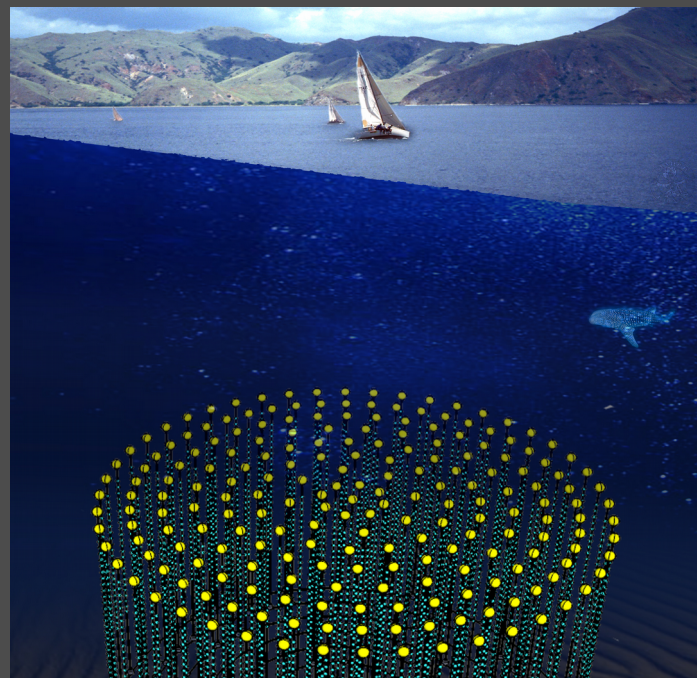


Baikal/
GVD

ANTARES/
KM3NET

IceCube-Gen2

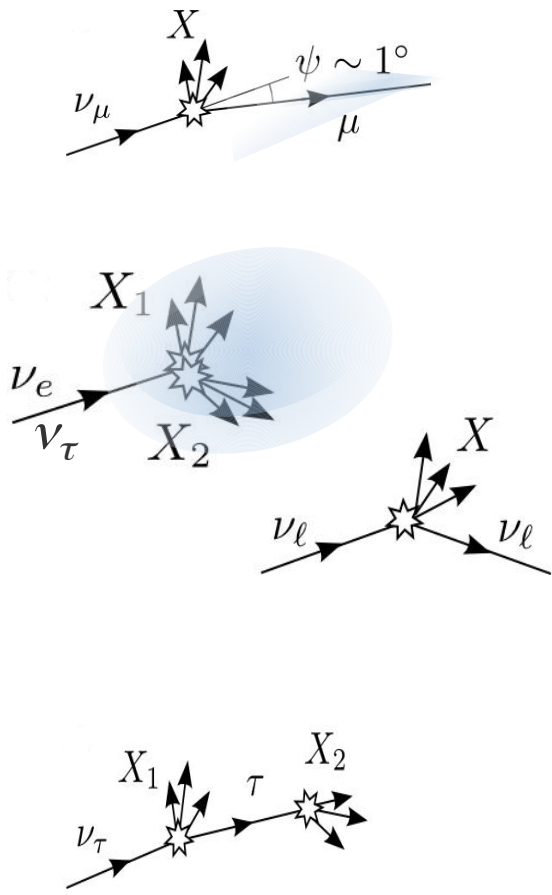
high-energy neutrino telescopes



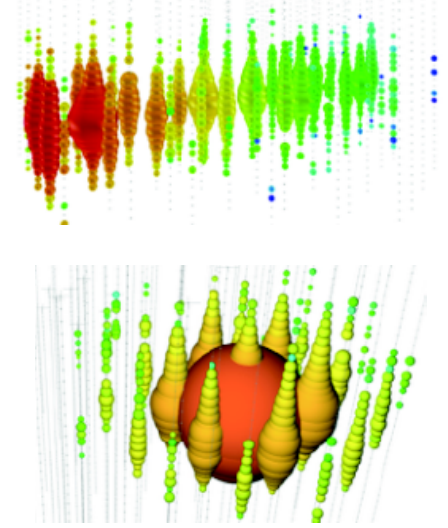
Detect Cherenkov light of interaction products

array of optical modules in a transparent medium

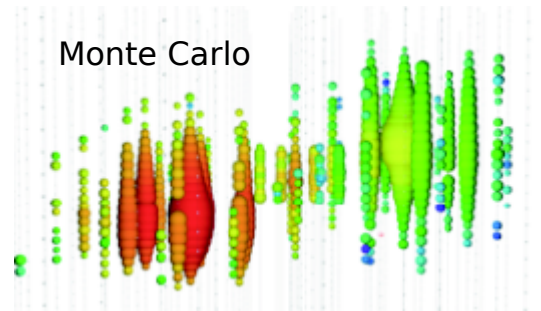
signature in the detector




events from IceCube

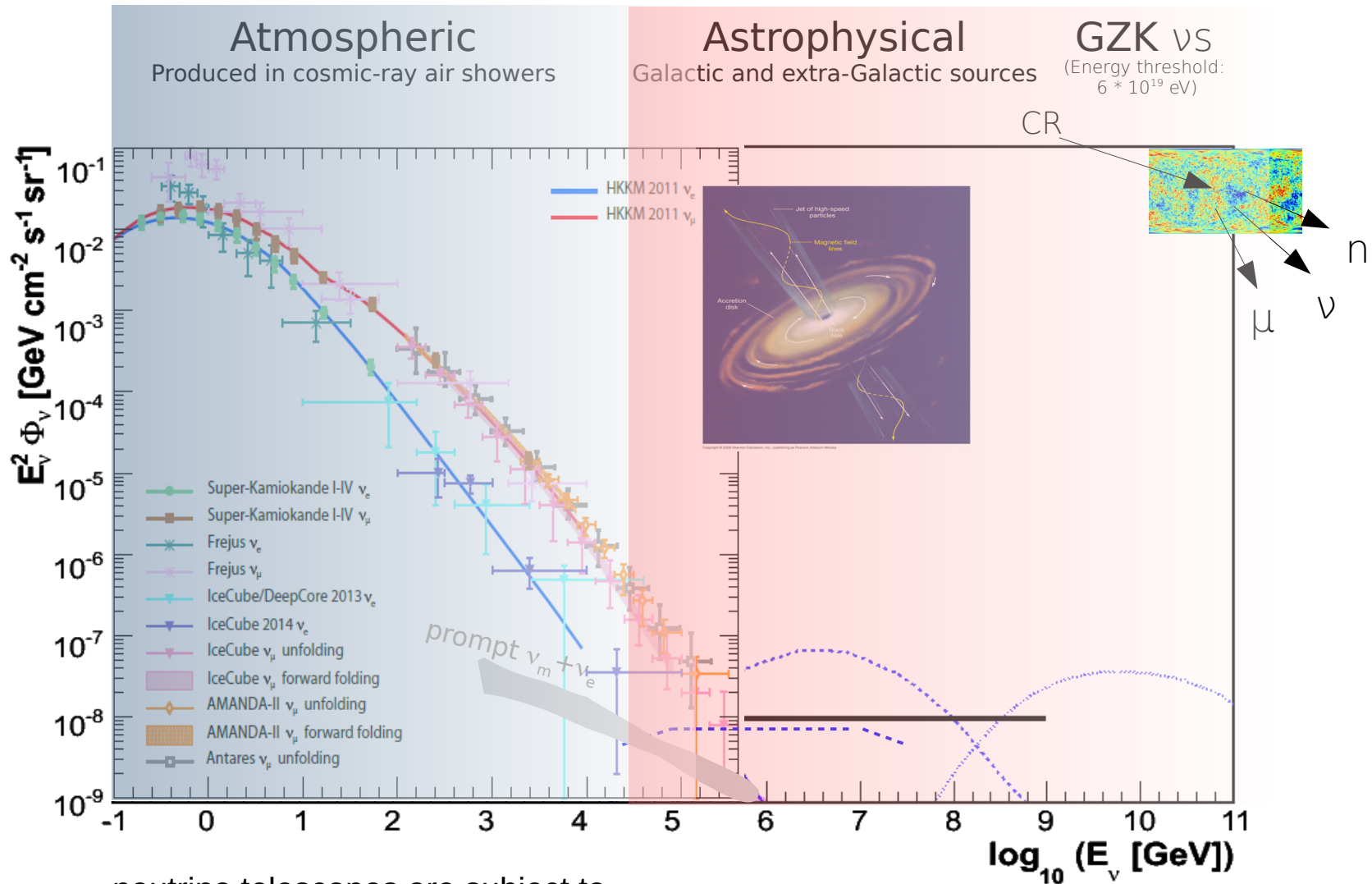


Monte Carlo



early  late
amount of light ∝ energy

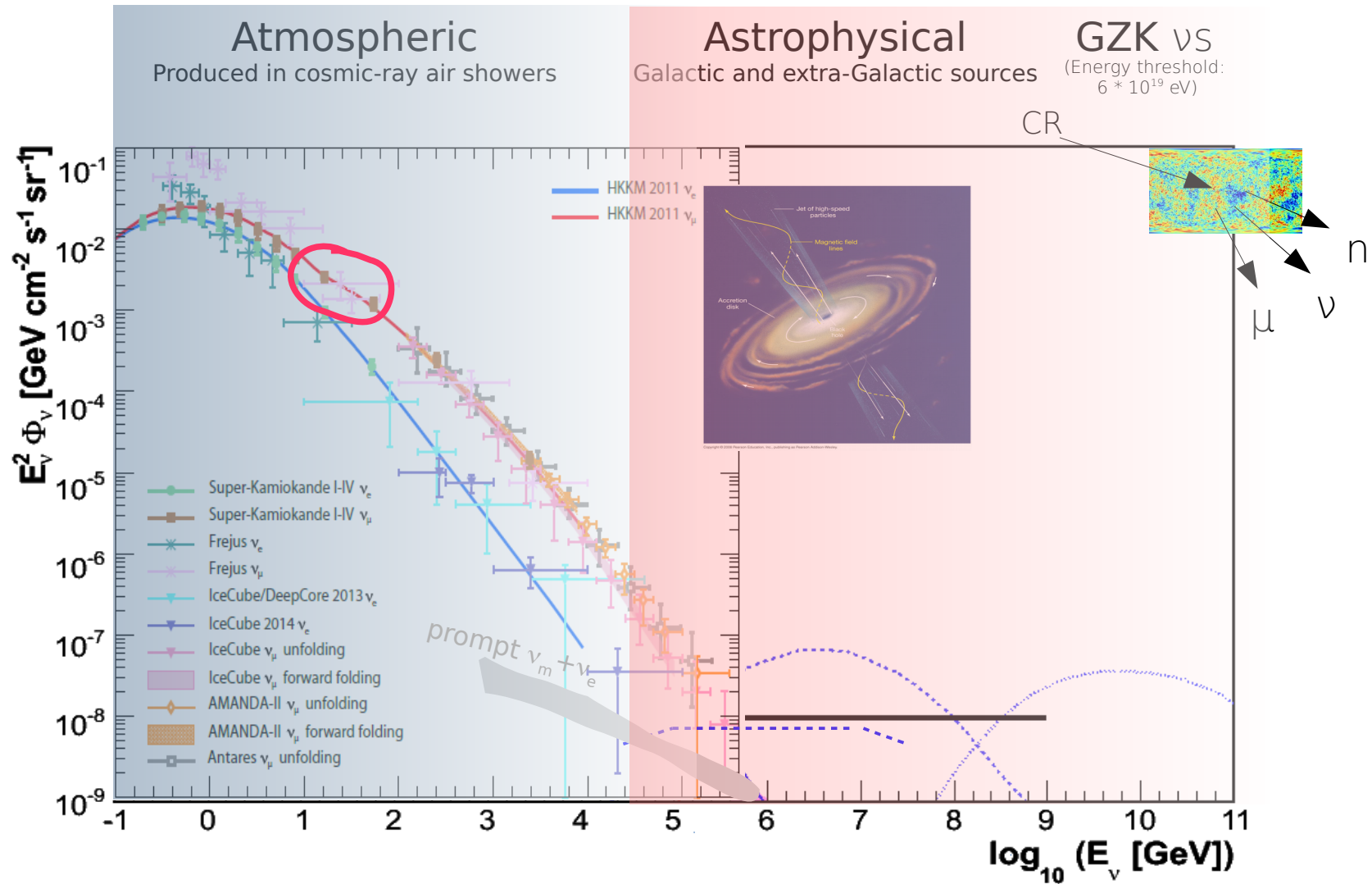
neutrino beams in neutrino telescopes



neutrino telescopes are subject to a high statistics ($\sim 100,000$ /y km³), high-energy neutrino beam from the atmosphere

plus...

an even higher-energy astrophysical flux (~ 100 /y km³)



Both IceCube and KM3NET have, or plan to have, low-E extensions (DeepCore, PINGU, ORCA) to cover as low ν energies as possible

NEUTRINO CROSS SECTION

NEUTRINO OSCILLATIONS

TESTS OF FUNDAMENTAL LAWS

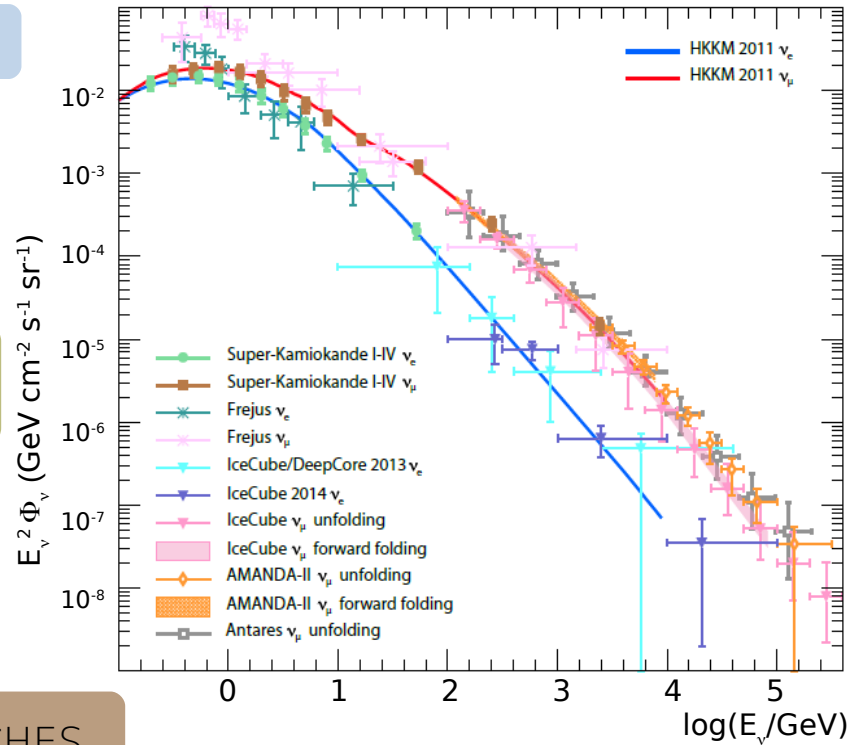
STERILE NEUTRINOS

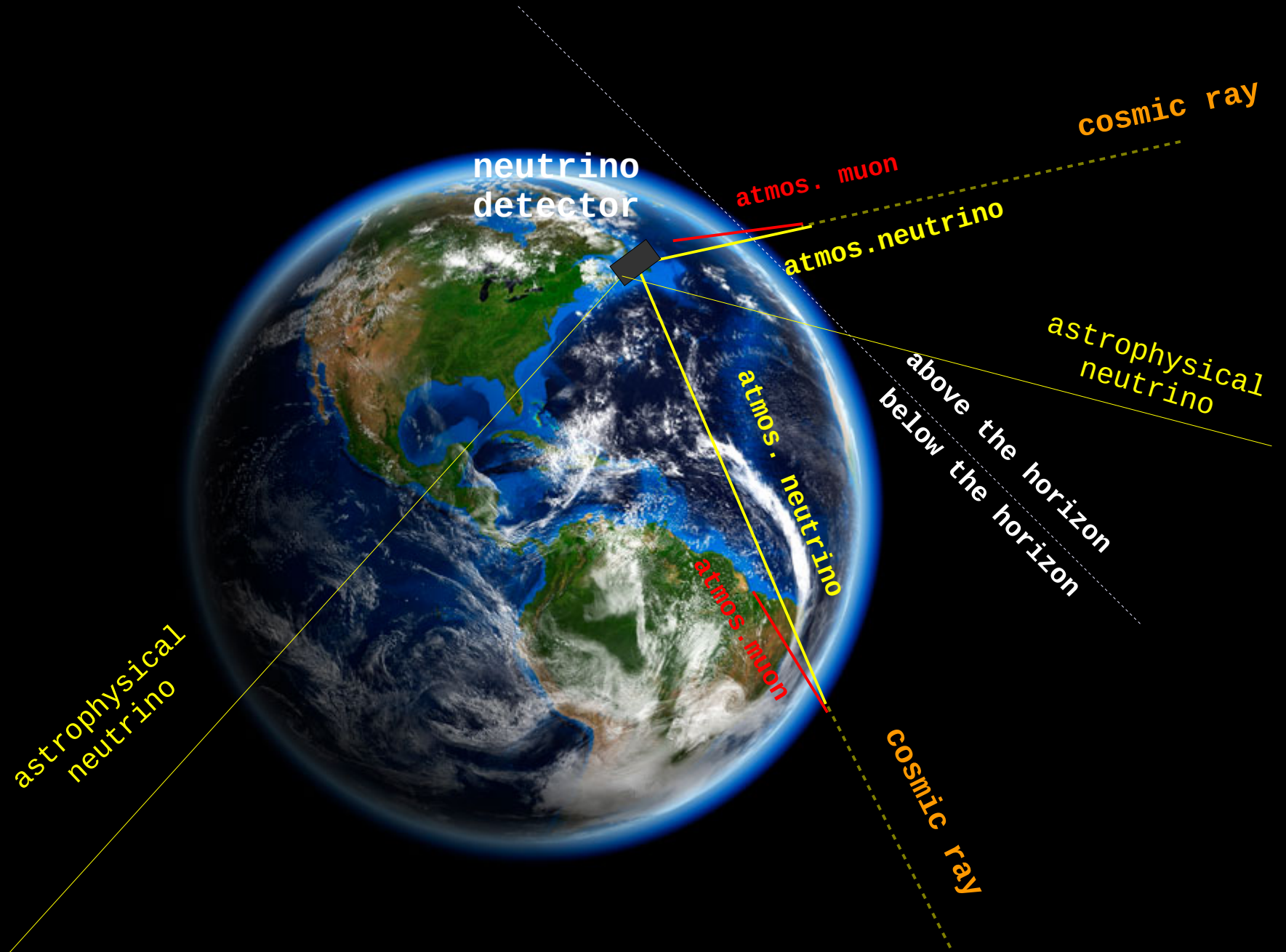
NON-STANDARD
NEUTRINO INTERACTIONS

TEV GRAVITY

NEW PARTICLE SEARCHES

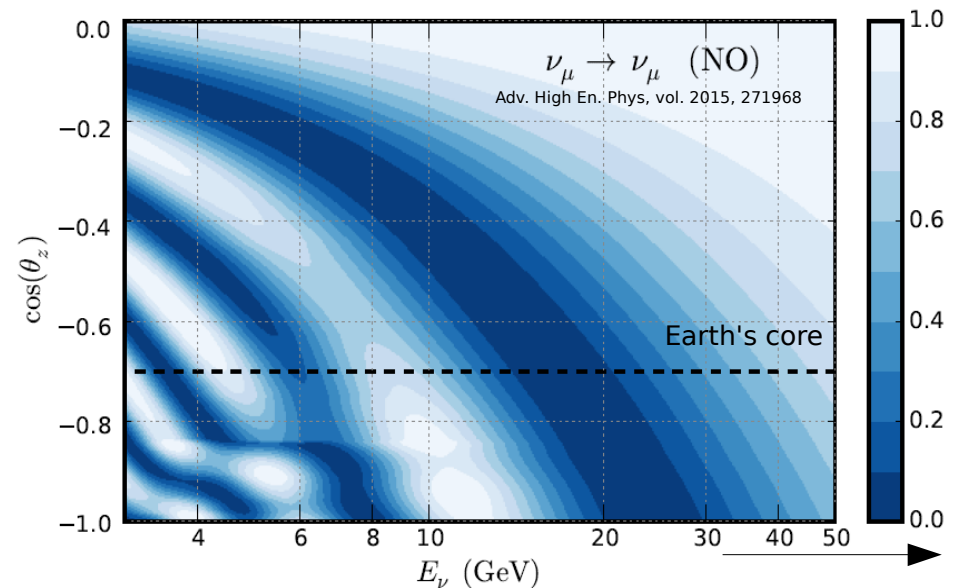
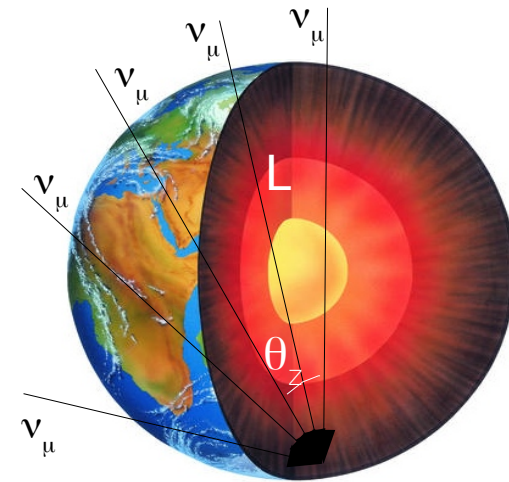
DARK MATTER

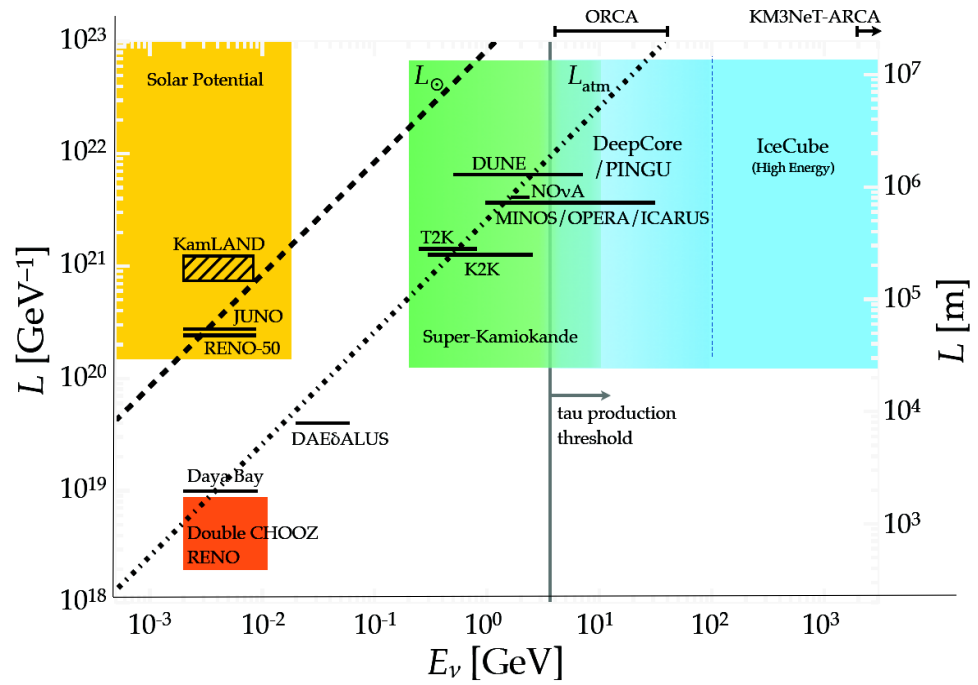




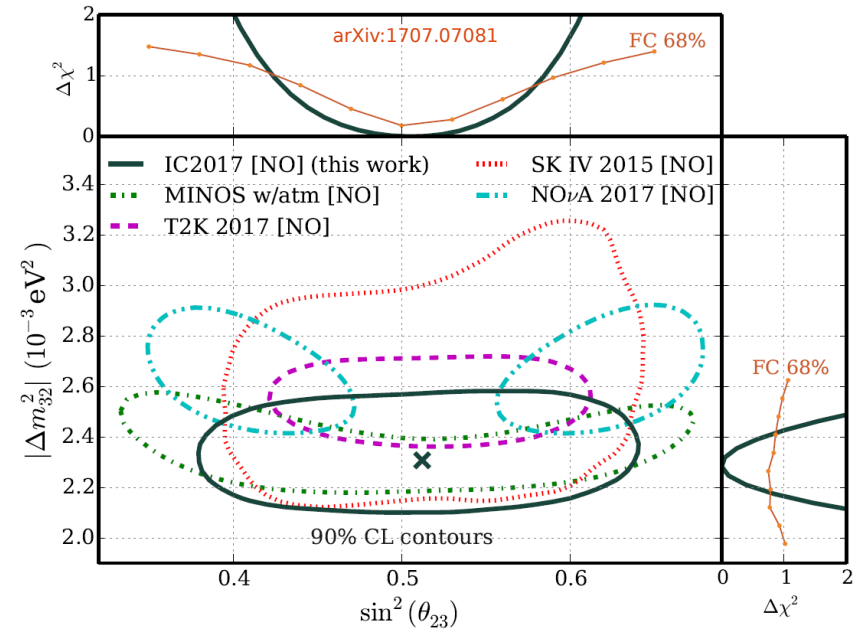
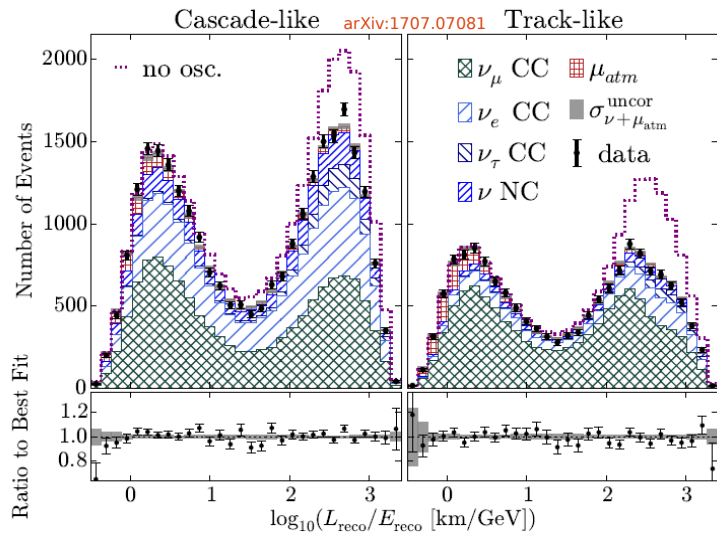
An enormous wealth of information can be obtained from the energy and pathlength of atmospheric neutrinos through the Earth to the detector

Neutrinos available over a wide range of baselines, with energies from a few GeV to ~100 TeV.





NTs can cover L/E regions
unaccessible to accelerators



Best fit: $\Delta m_{32}^2 = 2.31_{-0.13}^{+0.11} \times 10^{-3} \text{ eV}^2, \sin^2 \theta_{23} = 0.51_{-0.09}^{+0.07}$

$$\nu_{\alpha L} = \sum_{k=1}^3 U_{\alpha k} \nu_{kL} \quad (\alpha = e, \mu, \tau)$$

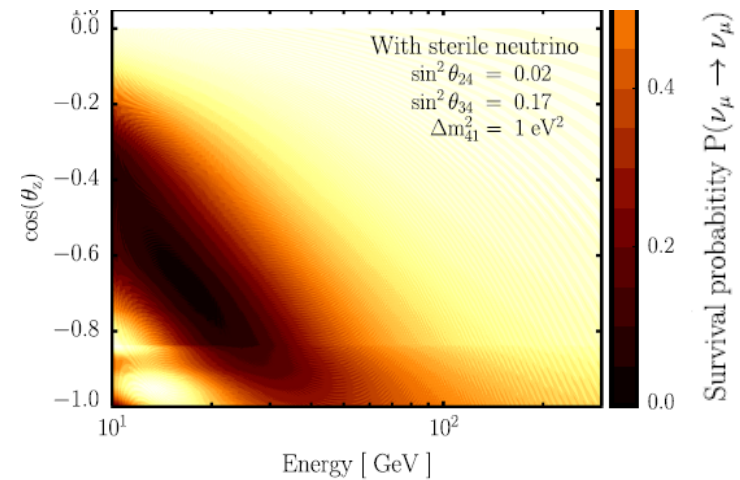
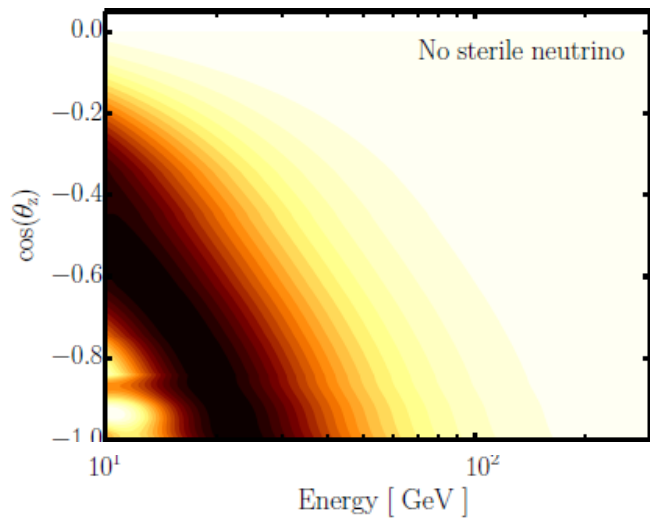
$$\nu_{\alpha L} = \sum_{k=1}^4 U_{\alpha k} \nu_{kL} \quad (\alpha = e, \mu, \tau, s)$$

3+1 sterile scenario

$$\begin{pmatrix} U_{e1} & U_{e2} & U_{e3} \\ U_{\mu 1} & U_{\mu 2} & U_{\mu 3} \\ U_{\tau 1} & U_{\tau 2} & U_{\tau 3} \end{pmatrix} \longrightarrow \begin{pmatrix} U_{e1} & U_{e2} & U_{e3} & U_{e4} \\ U_{\mu 1} & U_{\mu 2} & U_{\mu 3} & U_{\mu 4} \\ U_{\tau 1} & U_{\tau 2} & U_{\tau 3} & U_{\tau 4} \\ U_{s1} & U_{s2} & U_{s3} & U_{s4} \end{pmatrix}$$

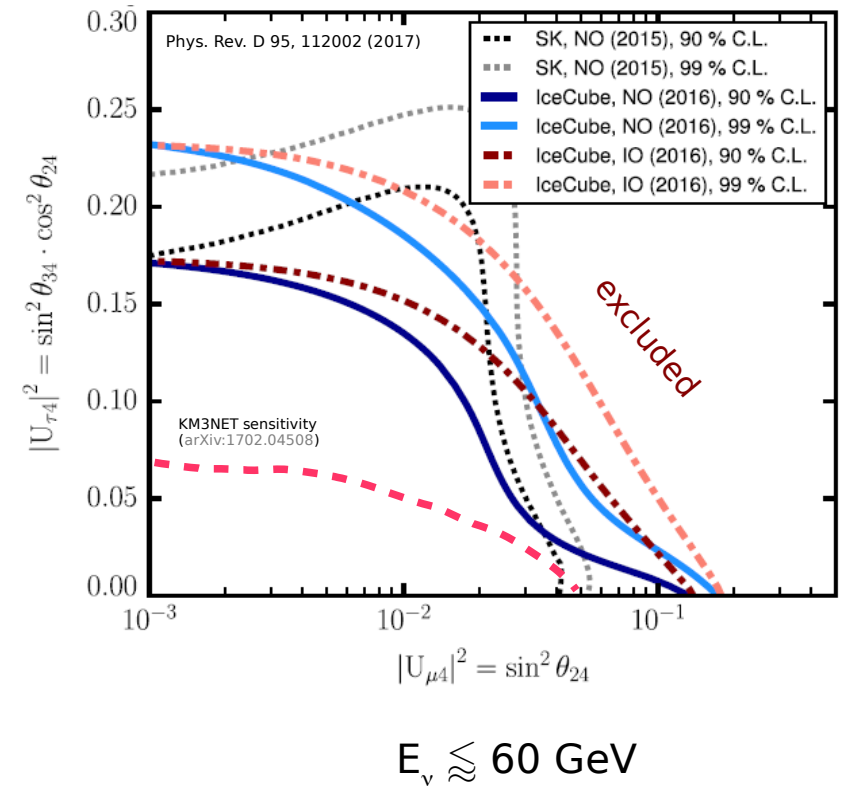
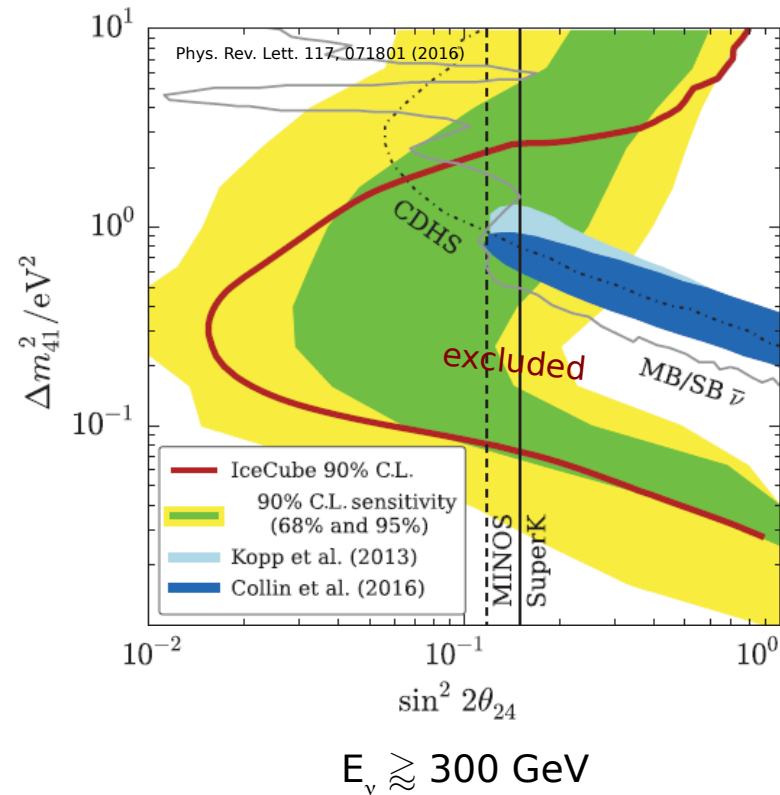
Minimal 3+1 scenario adds 6 parameters: Δm_{41}^2 , θ_{14} , θ_{24} , θ_{34} , δ_{14} and δ_{34}

additional state to oscillate to \rightarrow perturbation to standard oscillations



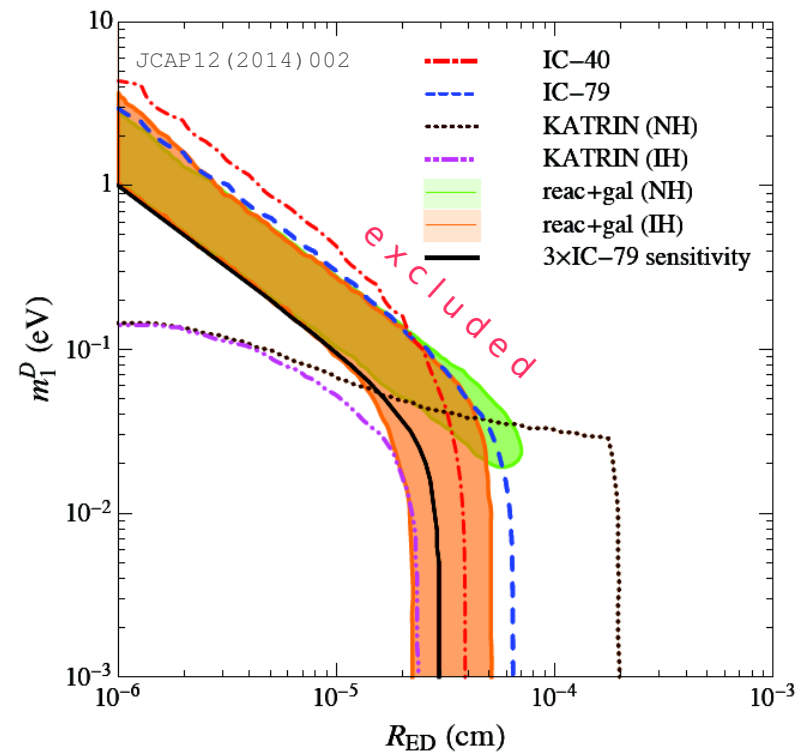
From solar, atmospheric and accelerator results: mixing with s must be small, $|U_{\alpha 4}| \ll 1$

NTs sensitive to disappearance effects in atmospheric neutrinos, ie, mainly to Δm_{41}^2 and $\sin^2 2\theta_{24}$



So far, results consistent with the standard three-neutrino hypothesis

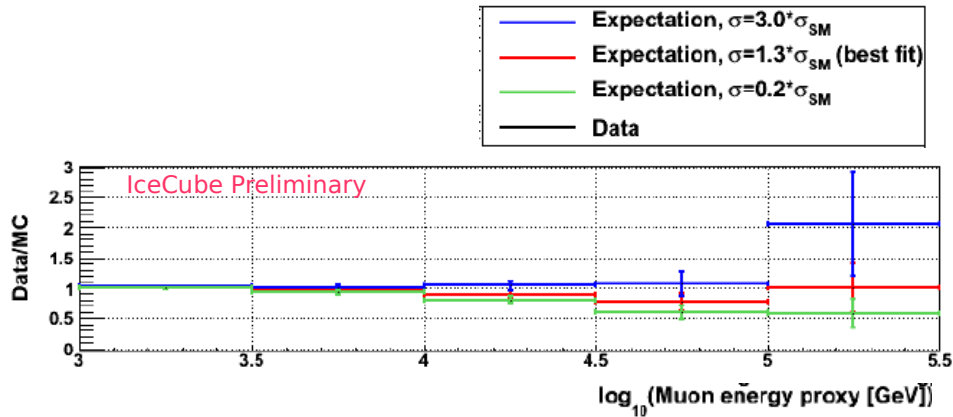
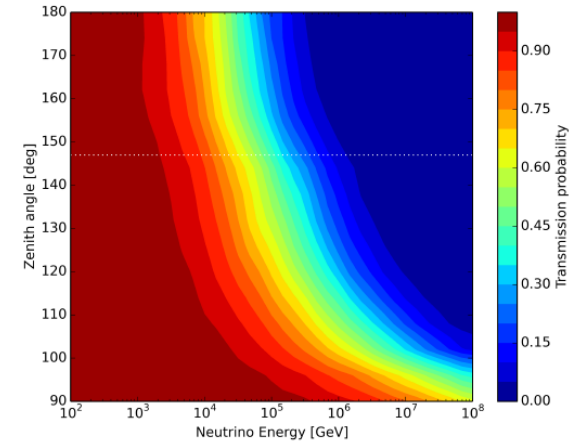
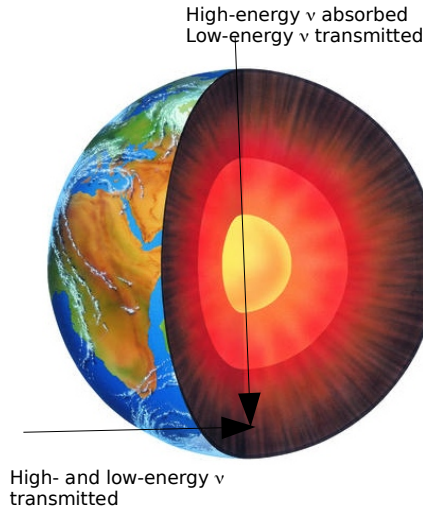
- LED \Rightarrow “sterile” neutrinos living in the extra dimensions (KK-tower)
- mixing with of KK modes with active neutrinos distorts standard oscillation pattern
- R_D and m_1 (lowest KK mode) can be constrained from oscillation analyses



- Neutrino Xsection only measured below ~ 300 GeV
- Neutrino telescopes exposed to copious neutrino flux above TeV
- Look for deviations of expected flux due to anomalous neutrino interactions in matter

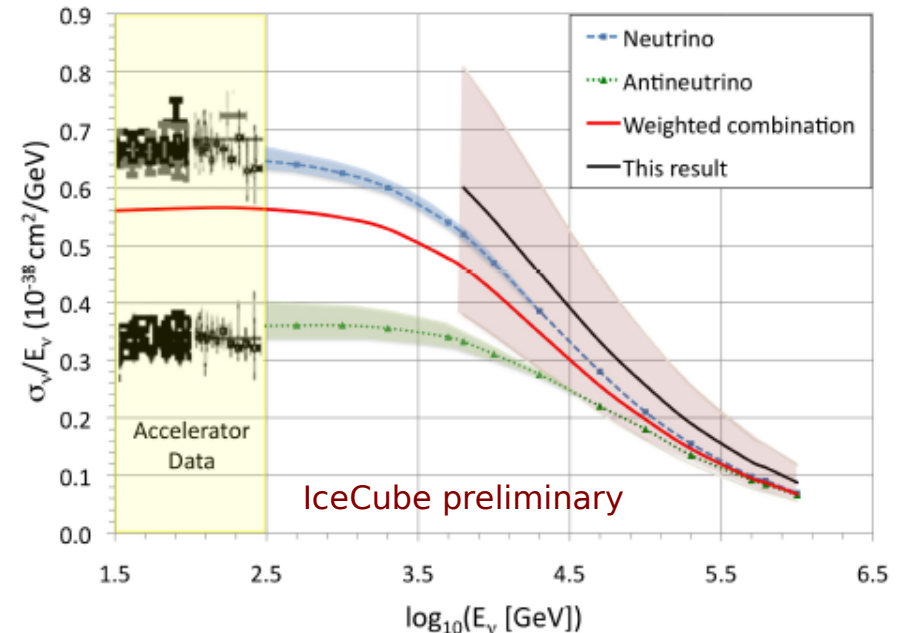
IceCube search:

fit ν_μ angle and energy distribution with $\sigma_{\nu\mu}$ as free parameter.



No deviation from SM found

$$\sigma_{\nu\mu} = 1.3^{+0.21}_{-0.19} \text{ (stat)} \text{ } ^{+0.39}_{-0.43} \text{ (sys)} \times \sigma_{\nu\mu}^{SM}$$



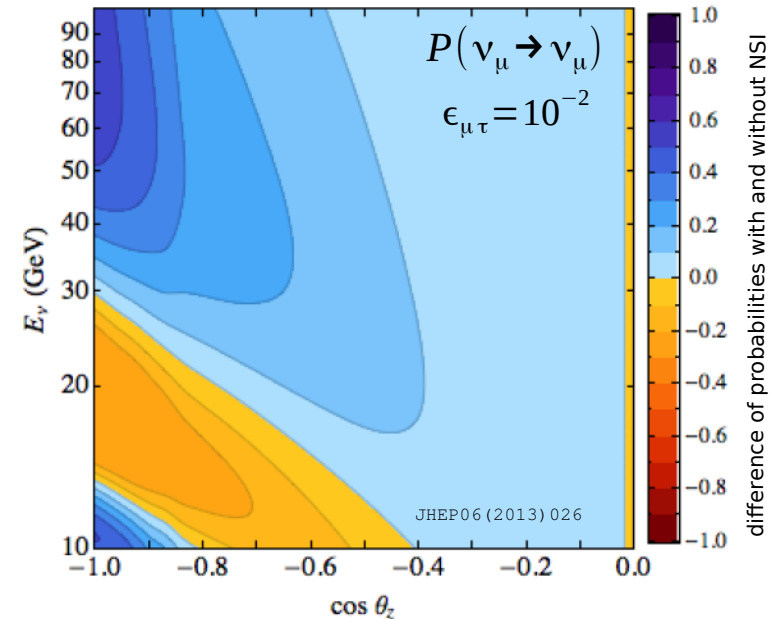
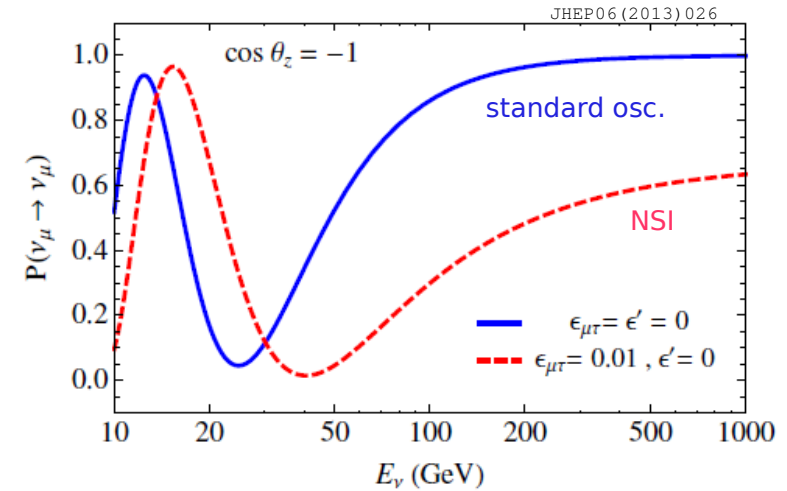
- Additional disappearance effect to MSW
- Mediated by non-SM bosons.

$$H_{\alpha\beta} = \frac{1}{2E} U_{\alpha j} \begin{pmatrix} 0 & 0 & 0 \\ 0 & \Delta m_{21}^2 & 0 \\ 0 & 0 & \Delta m_{31}^2 \end{pmatrix} (U^\dagger)_{k\beta} + V_{\text{MSW}} + \sqrt{2} G_F N_f \begin{pmatrix} \epsilon_{ee} & \epsilon_{e\mu} & \epsilon_{e\tau} \\ \epsilon_{e\mu} & \epsilon_{\mu\mu} & \epsilon_{\mu\tau} \\ \epsilon_{e\tau} & \epsilon_{\mu\tau} & \epsilon_{\tau\tau} \end{pmatrix}$$

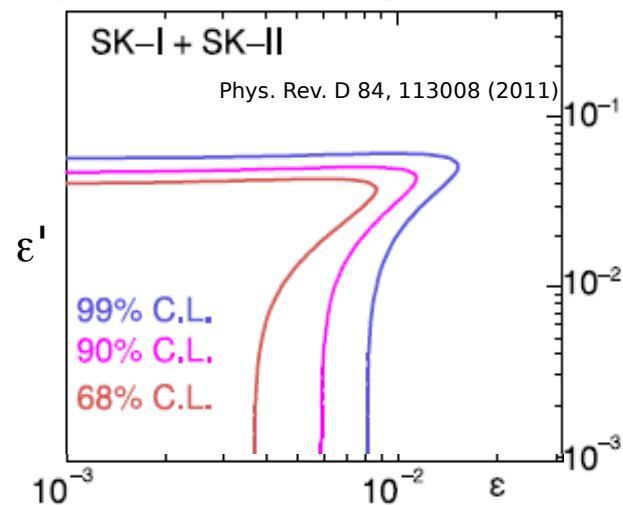
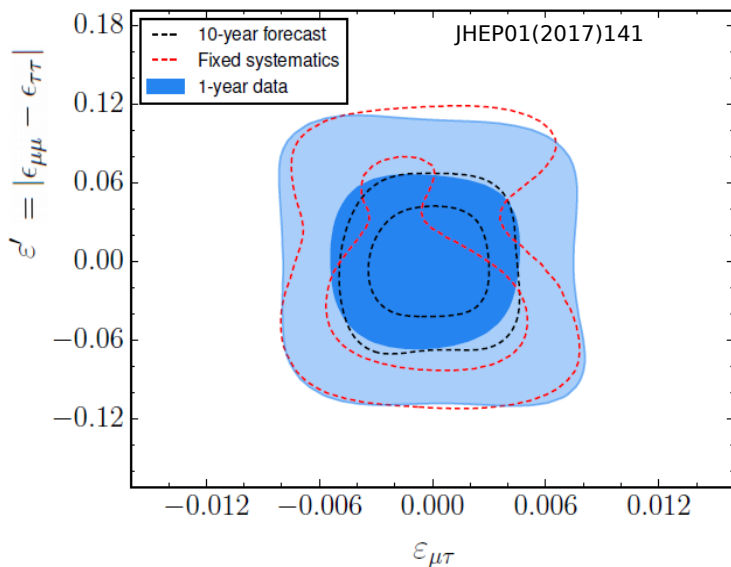
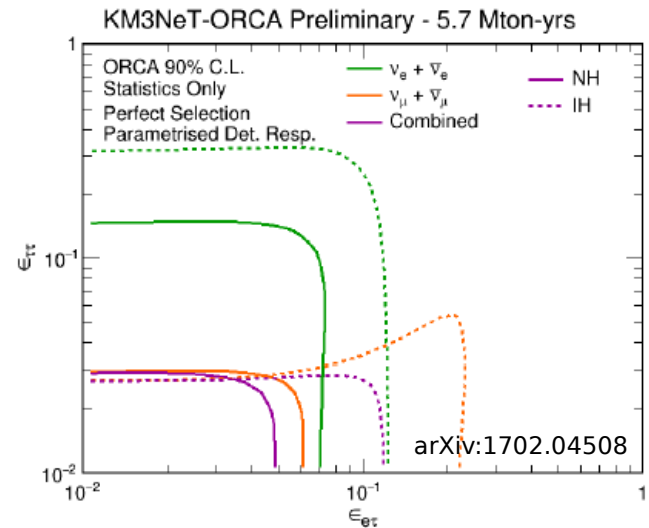
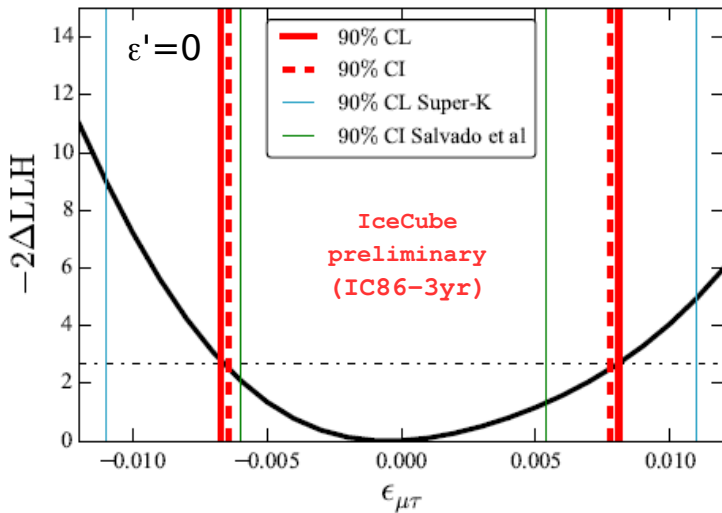
standard
MSW
NSI

→ 9 additional “interaction terms”
 (6, if requirements of hermicity and unitarity are imposed)

- Modify the rate of neutrinos detected at different energies and angles
- Effect proportional to $L \times E$
- Shows in complementary range of parameter space wrt standard oscillations



So far, results from IceCube and SK compatible with no NSI (see also MINOS results, Phys. Rev. D 88, 072011 (2013))



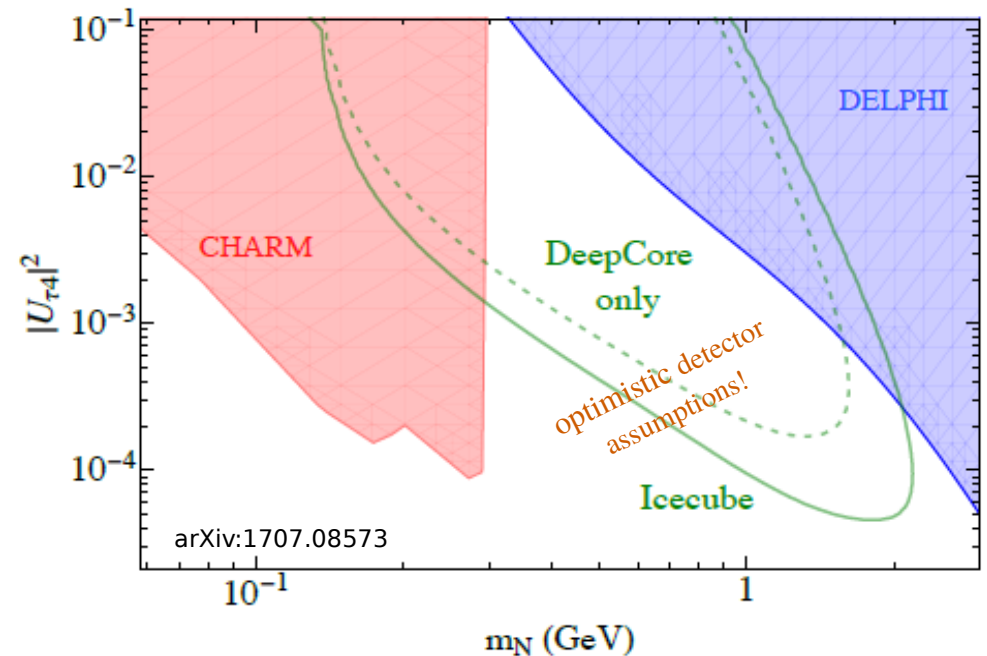
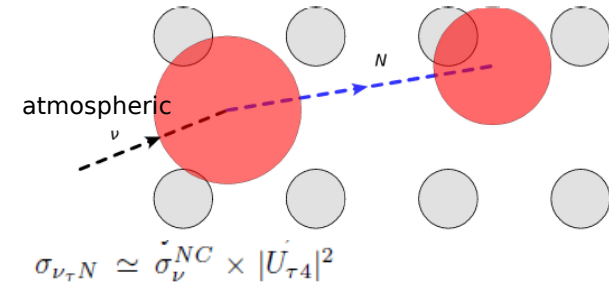
- Low-energy “Double-bang” events from heavy neutrino production and decay, without intermediate track

$$\nu_{\alpha L} = \sum_{i=1}^3 U_{\alpha i} \nu_{iL} + U_{\alpha 4} N_{4R}^c$$

additional mixing matrix components that can be probed

- $|U_{\tau 4}|^2$ up to $\sim 10^{-2}$ still allowed for a window of masses

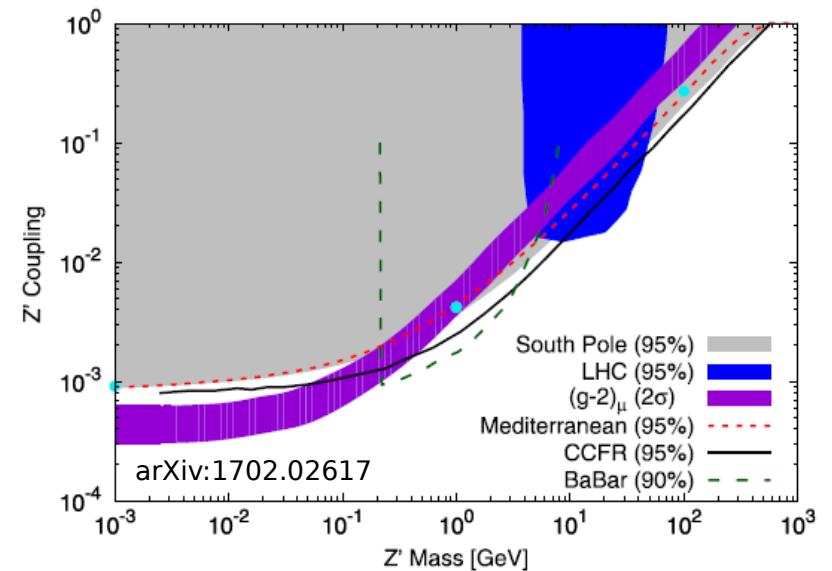
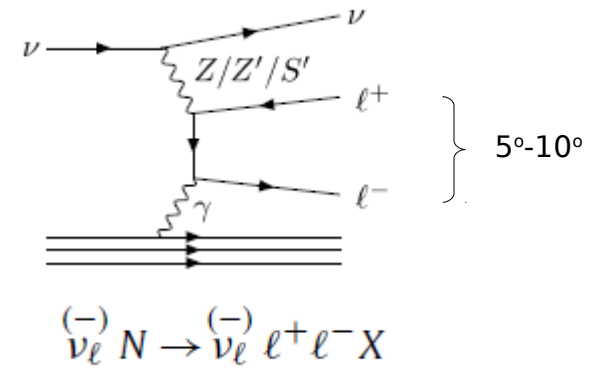
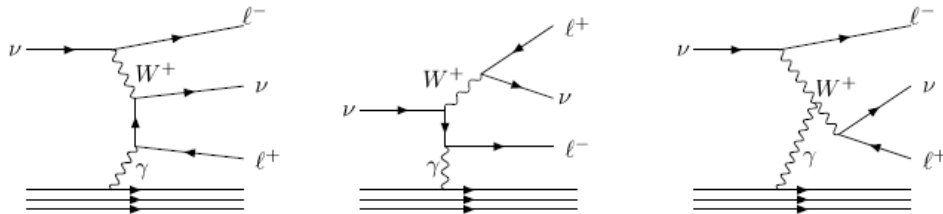
- $m_N \geq 1 \text{ GeV} \rightarrow L_{\text{detector}} \geq 20 \text{ m}$



- Simultaneous double μ tracks from ν -N interactions with new vector (Z')
- or scalar (S') mediators,
- Wide range of allowed Z'/S' mass: \sim MeV to TeV and couplings.

• Parameter space of the new mediator can be constrained

- SM background: \sim 0.5 evt/yr in a km³ detector



violation of Lorentz invariance

- Leads to modified dispersion relation:

$$E_a^2 = p_a^2 c_a^2 + m_a^2 c_a^2$$

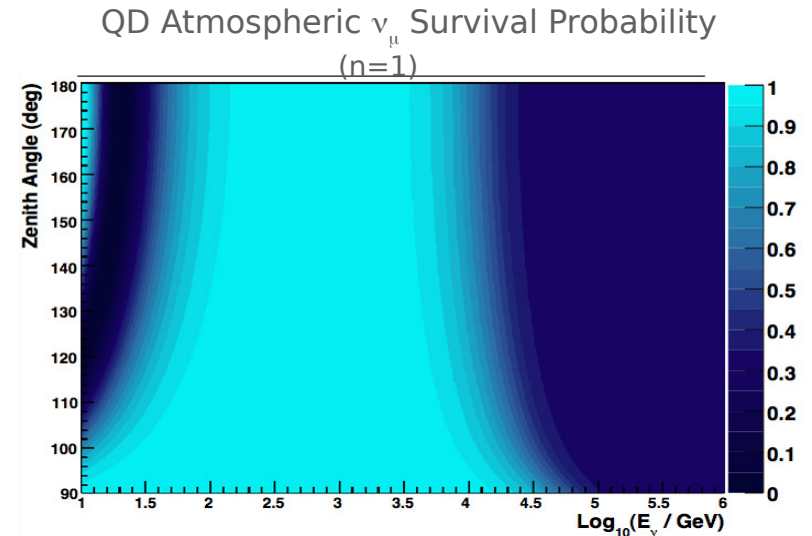
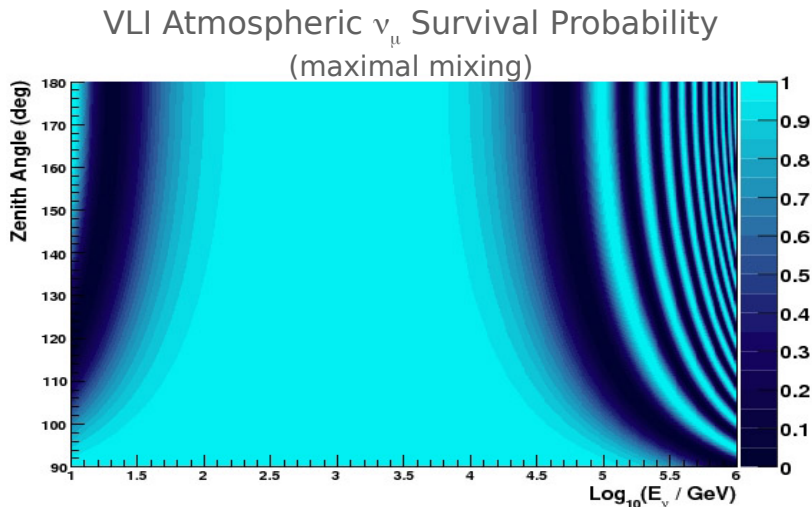
- Different maximum attainable velocities c_a for different flavour states: $\Delta E \sim (\delta c/c)E$
- “oscillation” effect $\propto L \times E$ instead of L/E

quantum decoherence

- Signature of quantum gravity
- Heuristic picture: foamy structure of space-time. Pure states interact with environment

$$E_a^2 = p_a^2 + m_a^2 + f_a(p, E)$$

- “oscillation” effect $\propto E^n$ ($n=1,2,3\dots$)

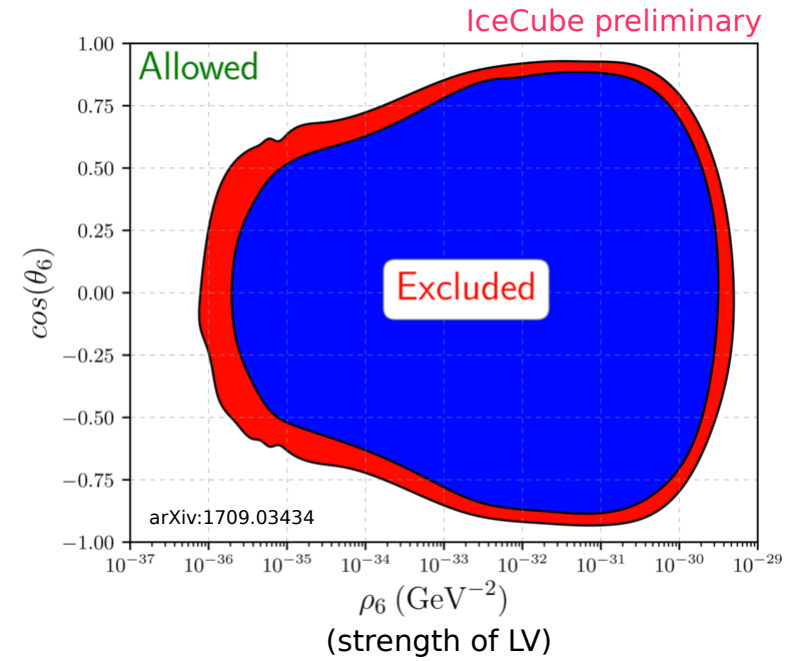
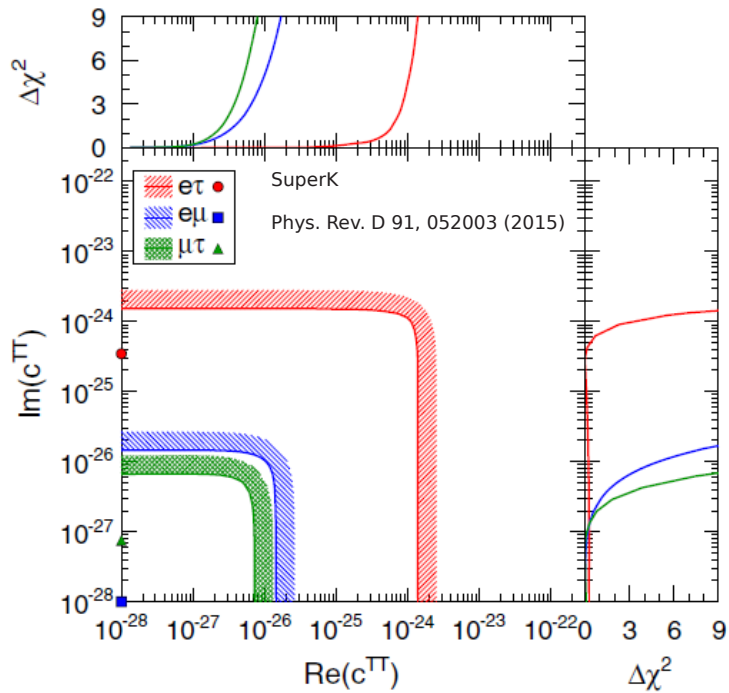


could have consequences for timing in multimessenger searches

in the SME

$$H_{\alpha\beta} = \underbrace{\frac{1}{2E} U_{\alpha j} \begin{pmatrix} 0 & 0 & 0 \\ 0 & \Delta m_{21}^2 & 0 \\ 0 & 0 & \Delta m_{31}^2 \end{pmatrix} (U^\dagger)_{k\beta}}_{\text{standard}} + \underbrace{V_{\text{MSW}}}_{\text{MSW}} + \underbrace{\frac{p\lambda}{E} \begin{pmatrix} a_{ee}^\lambda & a_{e\mu}^\lambda & a_{e\tau}^\lambda \\ a_{e\mu}^{\lambda*} & a_{\mu\mu}^\lambda & a_{\mu\tau}^\lambda \\ a_{e\tau}^{\lambda*} & a_{e\tau}^{\lambda*} & a_{\tau\tau}^\lambda \end{pmatrix}}_{\text{LVI terms}} - \frac{p\lambda p_\sigma}{E} \begin{pmatrix} c_{ee}^{\lambda\sigma} & c_{e\mu}^{\lambda\sigma} & c_{e\tau}^{\lambda\sigma} \\ c_{e\mu}^{\lambda\sigma*} & c_{\mu\mu}^{\lambda\sigma} & c_{\mu\tau}^{\lambda\sigma} \\ c_{e\tau}^{\lambda\sigma*} & c_{e\tau}^{\lambda\sigma*} & c_{\tau\tau}^{\lambda\sigma} \end{pmatrix}$$

(arXiv:1608.02946)



$$\vec{\nabla} \cdot \vec{E} = 4\pi\rho_e \quad \vec{\nabla} \cdot \vec{B} = 4\pi\rho_m \quad -\vec{\nabla} \times \vec{E} = \frac{1}{c} \frac{\partial \vec{B}}{\partial t} + \frac{4\pi}{c} \vec{j}_m \quad \vec{\nabla} \times \vec{B} = \frac{1}{c} \frac{\partial \vec{E}}{\partial t} + \frac{4\pi}{c} \vec{j}_e$$

- Predicted from charge quantization (Dirac):

$$\text{elementary charge} \quad g_D = \frac{\alpha}{2} e \approx 68.5 e$$

- Most GUTs predict them

$$\text{mass range: } \sim 10^7 \text{ GeV} \lesssim m_M \lesssim 10^{19} \text{ GeV}$$

- Typical galactic B-fields (μG) and galactic sizes (kpc) can accelerate MMs to

$$K = g_d \int_{\text{path}} B \cdot dl \simeq g_D B l \approx 10^{12} \text{ GeV}$$

- MMs with masses below $\lesssim 10^{12}$ GeV can be relativistic
- Different signatures in NTs, depending on speed, but always track-like

slow
 $(\beta \lesssim 0.1c)$

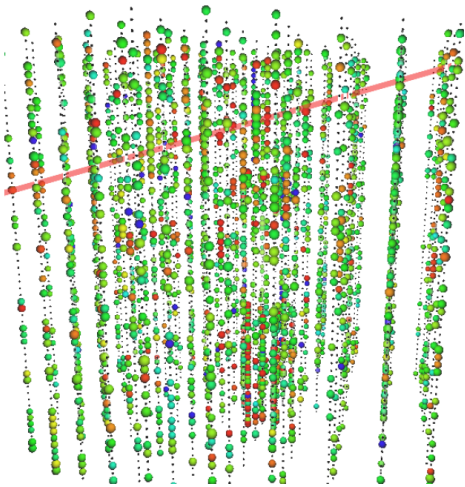
light from EM showers of p-decay products

$$\sigma_{\text{CAT}} = \sigma_{\text{CAT}}(\beta) = \sigma_0/\beta$$

Estimated: $10^{-21} \text{ cm}^2 < \sigma_{\text{CAT}} < 10^{-27} \text{ cm}^2$

Mean free path between p-decays: $1/\sigma_{\text{CAT}}$

Long passage time (~ms) → detector noise

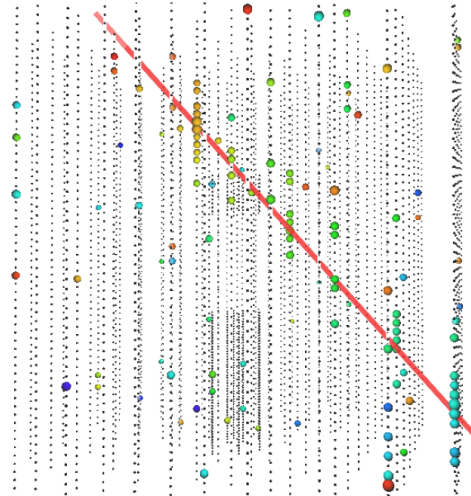


“mildly relativistic”
 $(0.2c \lesssim \beta \lesssim 0.5c)$

isotropic light from luminescence due
to electronic excitation-deexcitation

dim events

access to “intermediate” β range

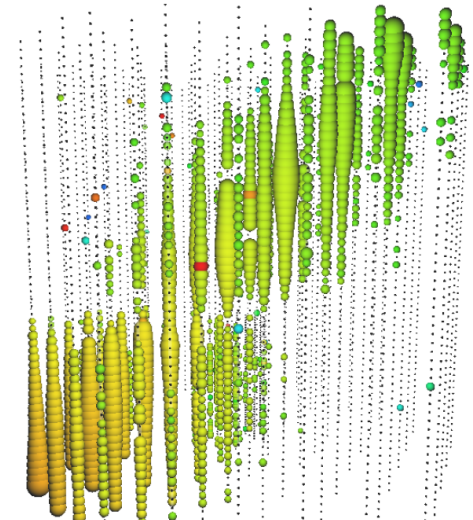


relativistic

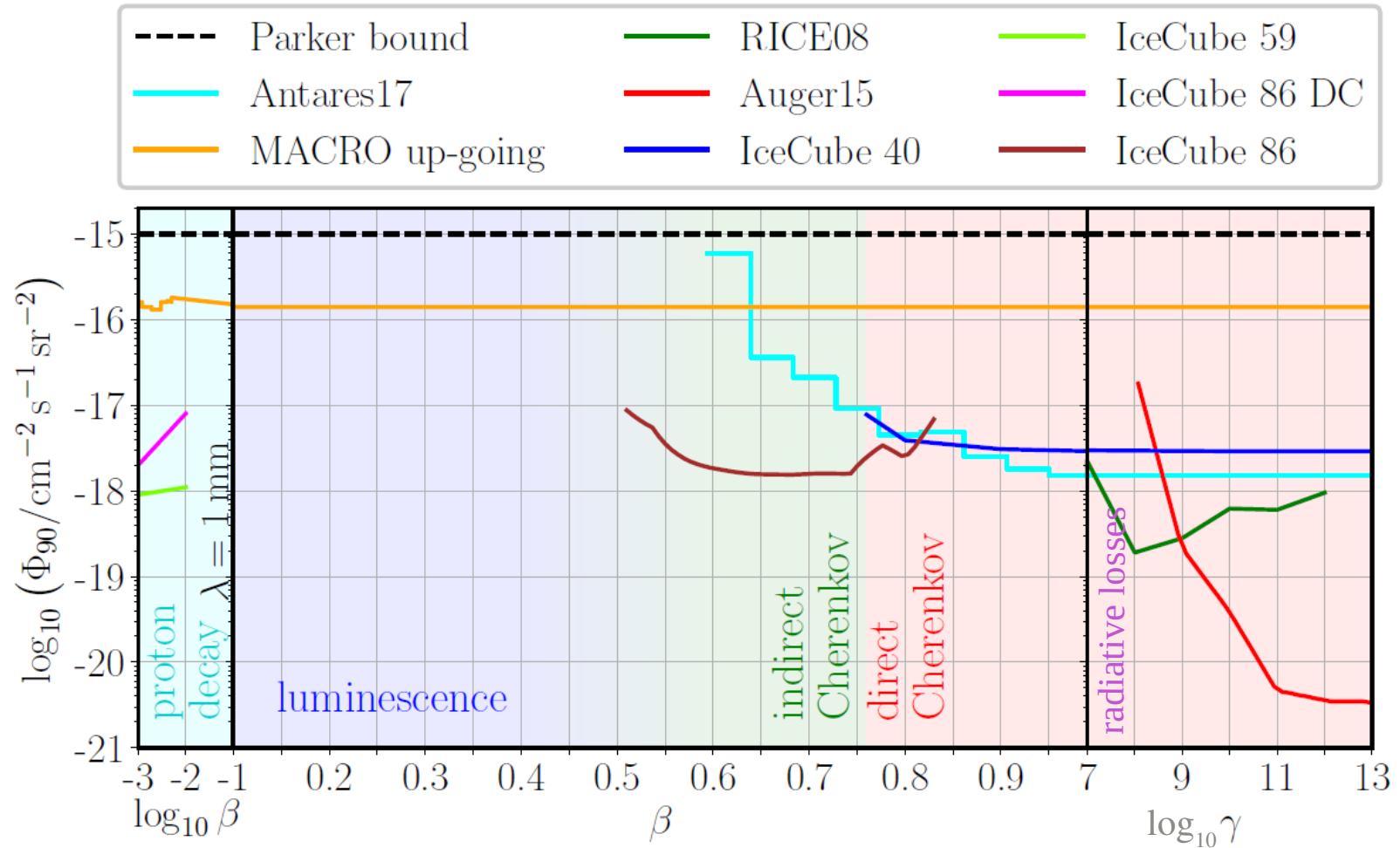
direct Cherenkov light ($\beta \gtrsim 0.75c$)
or from secondary δ electrons ($\beta \gtrsim 0.6c$)

Vey bright events (g~68e).

Nb. of Cherenkov photons
x8200 min ionizing muon



current results



- QCD allows for neutral, stable “chunks” of strange matter (u, d, s)
- stranglets → mass \mathcal{O} (heavy nuclei)
- nuclearites → mass \gg standard nuclei ($\gtrsim 10^{10}$ GeV)

- Neutral \Rightarrow difficult to accelerate

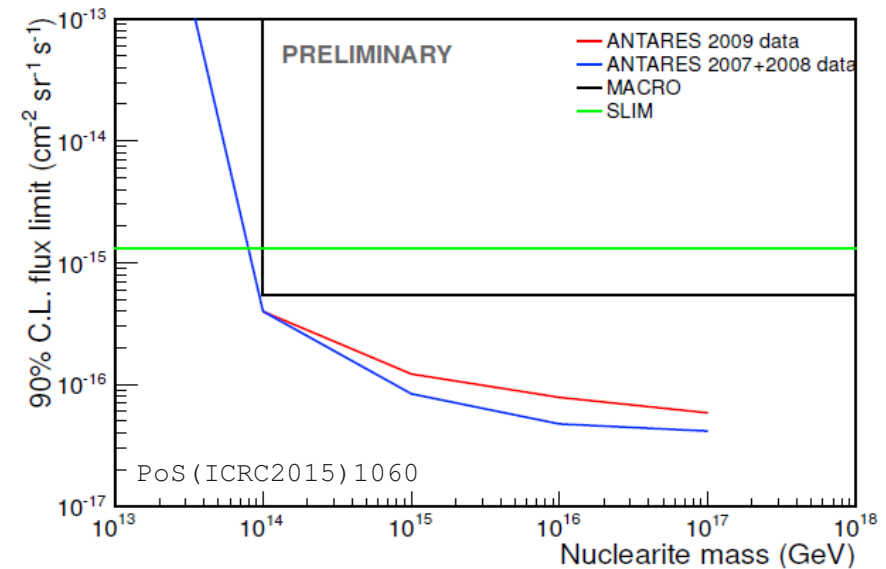
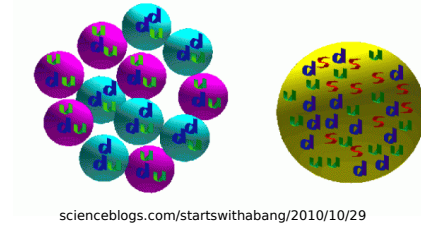
Gravitationally trapped in the galaxy $\Rightarrow \beta \sim 10^{-3}$

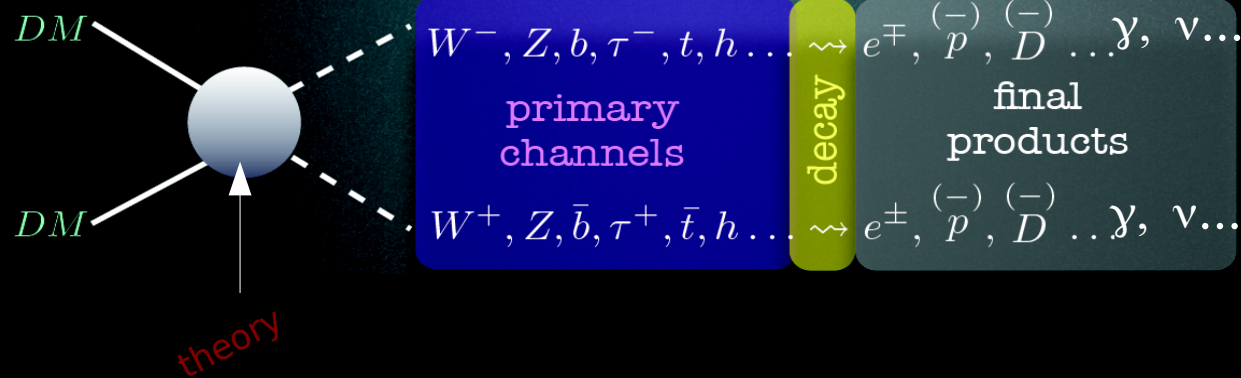
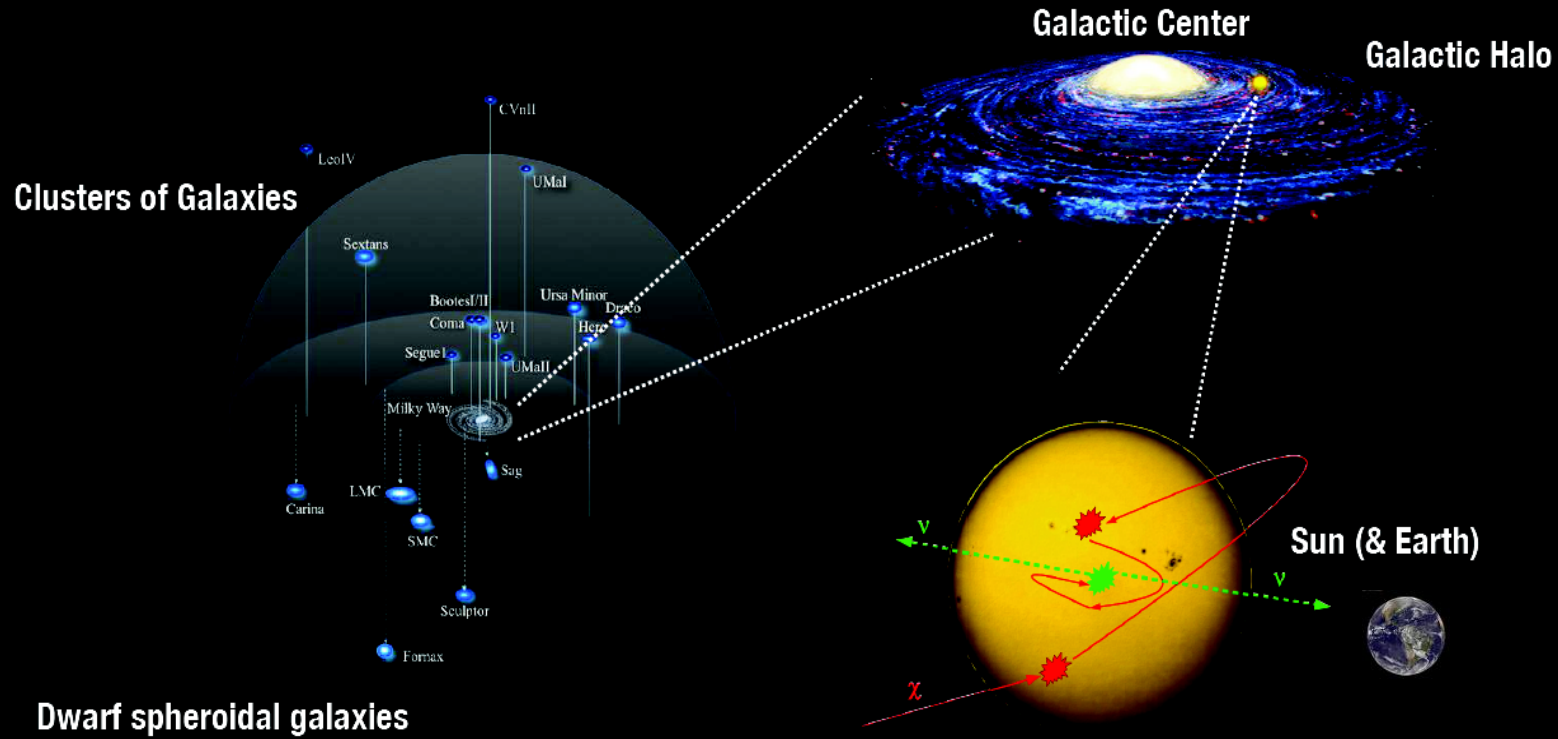
\rightarrow non-relativistic: elastic collisions along their path

- Heat matter locally as they traverse it \rightarrow light from a cylindrical expanding thermal shock wave

\Rightarrow signature in a NT as a slow, bright track

nuclear matter nuclearite



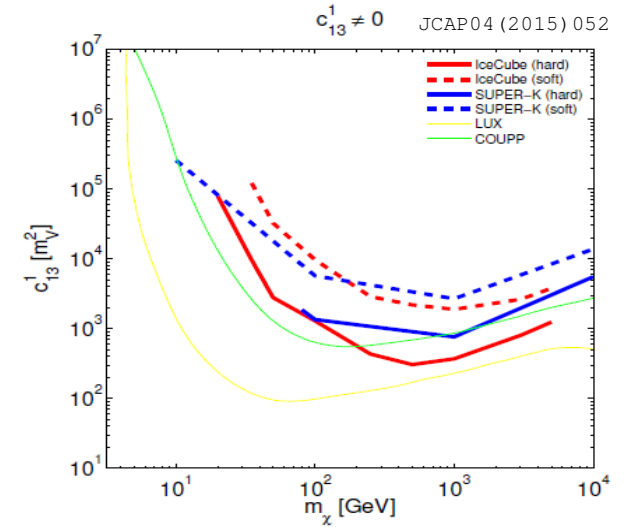
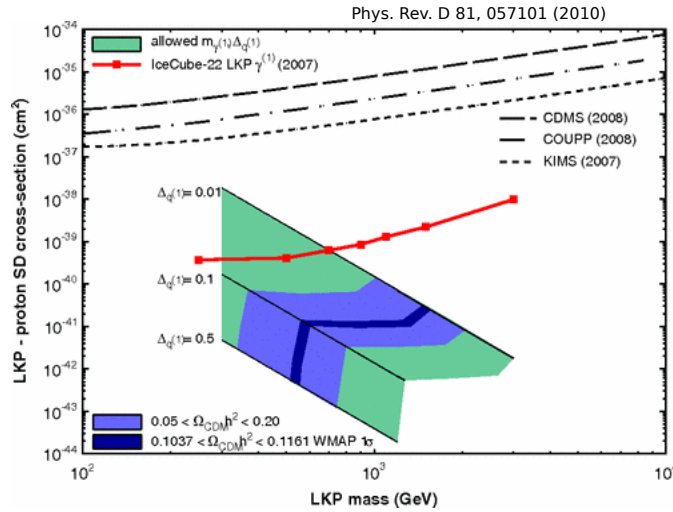


$$\Phi_\mu \rightarrow \Gamma_A \rightarrow C_C \rightarrow \sigma_{\chi p}$$

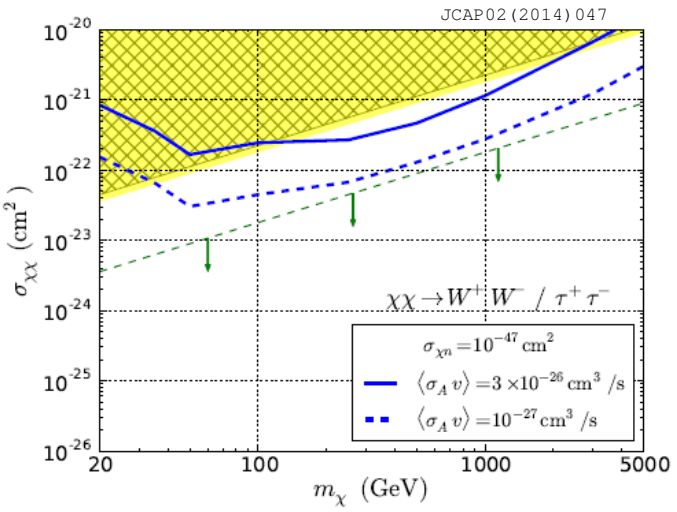
$$\Phi_\mu \rightarrow \Gamma_A \rightarrow \sigma_{\chi\chi}$$

Possibility to test more exotic scenarios than the plain MSSM neutralino:

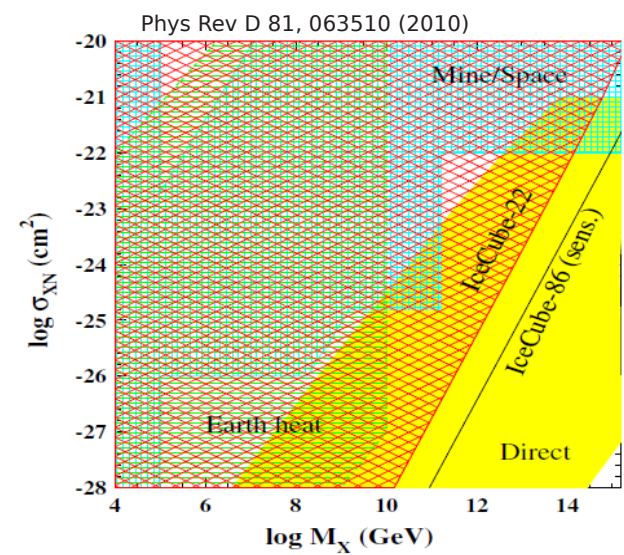
Kaluza-Klein dark matter
(extra dimensions)



self interacting dark matter with
momentum-dependent self-interaction Xsection



self interacting dark matter



Superheavy, non-thermal
dark matter

Plus many more...

Rich particle physics program for neutrino telescopes (I skipped many topics)

Complementary in many aspects to accelerator physics

NT's have access to a high-statistics, high-energy neutrino beam (atm. neutrinos)

NT's are sensitive to other highly ionizing particles besides muons → monopoles...

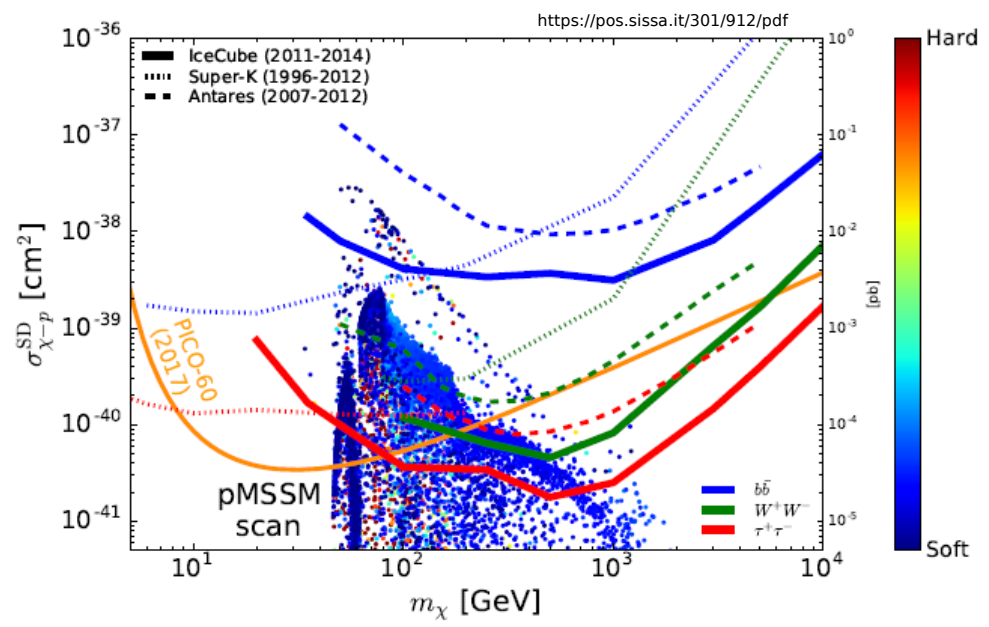
The old adage is rapidly coming true: yesterday's signals are today's backgrounds

Astrophysical neutrinos constitute a background for some of the mentioned topics

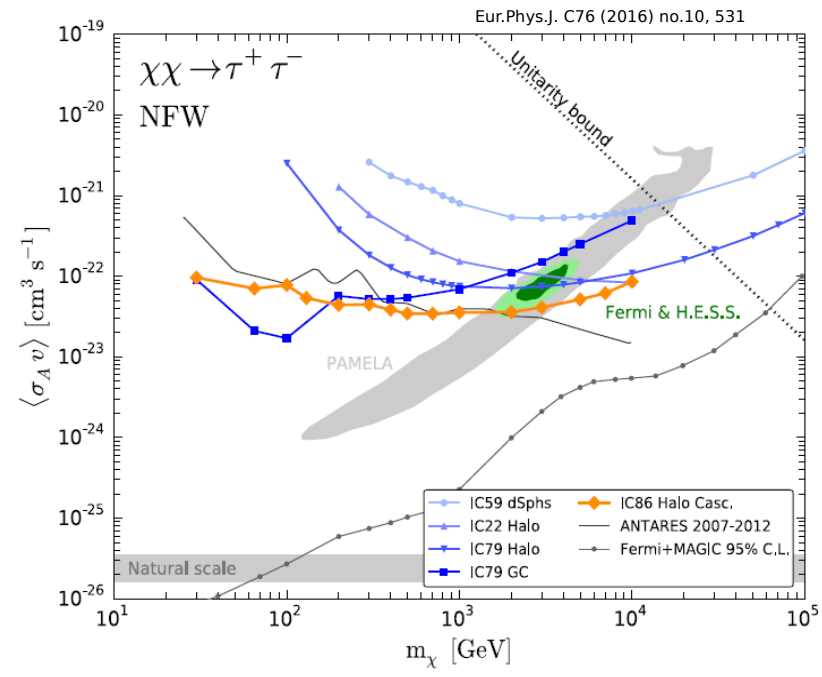
They open the window to cosmological distances and $> \text{PeV}$ energies



$$\Phi_\mu \rightarrow \Gamma_A \rightarrow C_c \rightarrow \sigma_{\chi p}$$



$$\Phi_\mu \rightarrow \Gamma_A \rightarrow \sigma_{\chi\chi}$$



$$\frac{d\phi_\nu}{dE} = \frac{\langle \sigma_A v \rangle}{2} \frac{1}{4\pi m_\chi^2} J_a(\psi) \frac{dN_\nu}{dE}$$