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# High Brightness Photo-Injectors

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## Outline

- Applications of electron sources
  - FEL, ERL, Inverse Compton scattering, THz sources, plasma-based accelerators
- Electron source figure of merit
  - Brightness
- Electron photo-injectors
  - Cathode physics
  - RF guns
  - Space charge effects
  - Emittance compensation
  - Injection into the linac
    - Acceleration and compression

### Motivation

Free Electron Lasers (FELs), Energy Recovery Linacs (ERLs) light sources, Plasmabased accelerators, etc. demand

- *medium/high average current: from* ~µA to mA and higher
- high brightness electron beams (HBEBs)
  - ultra-low normalized emittance: ~mm mrad and less
  - high peak current: ~kA
  - beam charge from few pC to 1 nC
    - Careful definition and specific requirements for both electron sources and injection systems
      - The final beam quality is set by the linac and ultimately by its injector and electron source

A large number of quasi-"monochromatic" electrons, concentrated in very short bunches, with small transverse size and divergence, means high particle density 6D phase-space => high brightness

**1939 von Borries and Ruska** (Nobel prize in Physics in 1986 for the invention of the Electron Microscope) introduced the so called beam brightness ("Richstrahlwert") defined as:

$$B_{micr} = \frac{I}{A\Omega} \approx constant$$

The smaller the spot the larger the divergence.

The brightness defines then the quality of the source and determines the kind of experiments



For FEL applications the 5D brightness is often used to compare electron sources



and it is the relativistic analogue of the microscopic brightness.



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### **6D Beam Brightness**

The meaningful figure of merit used to describe electron sources should be the 6D beam brightness defined as

$$B_{6D} = \frac{Ne}{V_{6D}}$$

where  $V_{6D}$  is the volume occupied by the beam in the 6D phase space (x, p<sub>x</sub>, y, p<sub>y</sub>, z, p<sub>z</sub>)  $V_{6D} = \int \psi(x, p_x, y, p_y, z, p_z) dx dp_x dy dp_y z dp_z$ 

which is proportional to the product of the three normalized emittances

$$B_{6D} \propto rac{Ne}{arepsilon_{nx}arepsilon_{ny}arepsilon_{nz}}$$

## **Liouville Theorem**

The 6D phase space of non-interacting particles in a conservative dynamical system is invariant -> Liouville theorem

As long as the particle dynamics in the beamline elements (transport optics, accelerating sections) can be described by Hamiltonian functions (no binary collisions, stochastic processes, etc.), the phase space density will stay constant throughout the accelerator.

The 6D brightness of a beam is determined by the source and cannot be improved, but only spoiled along the downstream accelerator.

The brightness generated at the electron source represents the ultimate value

#### Possible sources of rms emittance growth

Non-linear space charge forces Non linear forces from electromagnetic components Synchrotron radiation emission (in magnetic compressors)

### **Brightness Quantum Limit**

Due to the *Pauli exclusion principle*, there is a **maximum brightness theoretically achievable** by an electron beam, as the 6D phase space density is fundamentally limited, with one electron spin up-down pair in each elementary quantum  $h^3$  unit of phase space volume, as set by *Heisenberg uncertainty principle* 

$$B_{quantum} = \frac{2e}{h^3} (m_0 c)^3 = \frac{2e}{\lambda_c^3} \approx 10^{25} \frac{A}{m^2}$$

The degeneracy parameter  $\delta$  represents the number of particles per elementary volume of the phase space  $\mathcal{D}$ 

$$\delta = \frac{B}{B_{quantum}}$$

#### State-of-the-art electron sources

In numbers:  $N \approx 10^9$ ,  $\sigma_{\gamma} \approx 10^{-3}$ ,  $\varepsilon_n \approx 1 \ mm \ mrad$ ,  $\sigma_t \lesssim 1 \ ps$  $B \approx 10^{15} \ \frac{A}{m^2}$ 

### **Brightness Quantum Limit**



How do we lose 10<sup>-11</sup> orders of magnitude then?

Electron emission mechanism and Coulomb interaction

### **Injectors:** a bit of history



Dowell, Rao, An Engineering Guide To Photoinjectors,

The **need for fast and precise control of the electron pulse shape** for better beam quality led to the replacement of thermionic gun with **photocathode RF guns** because of the impressive reduction in transverse emittance (10 times and more), promoted by the **ability to shape drive laser pulses and rapidly accelerate electrons from rest to relativistic energies** 

## **Elements of an Electron Injector**

- An electron injector is the first part of the accelerating chain
  - The electron beam generated at rest energy is accelerated and guided up to energies where space charge force effects are negligible and under control, therefore its evolution is not space charge dominated anymore
  - Space charge forces scale inversely with the square of the beam energy
- Space charge forces influence the beam dynamics and are one the main performance limitations in high brightness electron injectors

### **Emission and**

### initial acceleration

- Thermionic cathode
  - DC gun
  - NCRF gun
- Photo-electric cathode
  - DC gun
  - NCRF gun
  - SCRF gun
- Field emission cathode
  - Pulse-DC
  - RF

### Beam manipulation

### Acceleration

- Emittance compensation
  - Solenoid focusing
  - RF focusing
  - Slice phase space matching
- Ballistic compression
  - ...
- Magnetic compression
  - RF harmonic linearization
- RF compression
  - Solenoid focusing

- Capture into the booster
- Emittance preservation
- Longitudinal phase space preservation

### **Elements of an Electron Injector**



### Emission and initial acceleration

- Thermionic cathode
  - DC gun
  - NCRF gun
- Photo-electric cathode
  - DC gun
  - Normal Conducting RF gun
  - SCRF gun
- Field emission cathode
  - Pulse-DC
  - RF

### **Beam manipulation**

### Acceleration

- Emittance compensation
  - Solenoid focusing
  - RF focusing
  - Slice phase space matching
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- Magnetic compression
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## **High Brightness Photo-injector Components**

A **photo-injector** consists of a **laser generated electron source** followed by an electron beam optical system which preserves and matches the beam into a high-energy accelerator

- Drive laser
  - To gate the emission of electrons from the cathode
- Photocathode
  - Releases picosecond electron bunches when irradiated with laser pulses

#### Electron Gun

- Accelerates electrons from the rest
  - The high electric fields produced by rf guns are necessary both to extract the high currents and to minimize the effects of space charge on emittance growth while the bunch is accelerated to relativistic energies where the space-charge forces vanish
- Acts as strong defocusing lens => **Solenoid magnet**
- Accelerating system
  - to mitigate the space charge emittance growth

## **Typical High Brightness Photo-injector Layout**

A **typical photocathode RF system** depicts a **1½-cell gun with a cathode in the ½ cavity** being illuminated by a laser pulse train. At the exit of the gun is a solenoid which focuses the divergent beam from the gun and compensates for space charge emittance. The drive laser is mode-locked to the RF master oscillator which also provides the RF drive to the klystron.



## **Cathode physics**

- Cathodes are a fundamental part of electron sources
- Most injector systems use photocathodes
  - Exception: SACLA XFEL which uses a thermionic cathode
  - The ideal cathode should have low intrinsic emittance, high quantum efficiency, long life-time, uniform emission and should allow for low energy spread, high current density beams and full control of bunch distribution => fast response
- Low charge regime: the ultimate brightness performance of the linac is set by the cathode intrinsic emittance
- <u>High repetition rates photon sources</u>: high **quantum efficiency** photocathodes are required

### **Electron emission**

The emission process determines the fundamental lower limit of the beam emittance, called as intrinsic emittance, which depends on the three emission mechanisms

- 1. thermionic emission
- 2. field emission
- 3. photo-electric emission

The probability of a particle to occupy a given energy state is described by a proper statistic.

Particles which can share the same energy state follow the Maxwell-Boltzmann (MB) distribution,

$$f_{MB} = e^{-E/k_B T}$$

while those having only one particle per energy state follow the Fermi-Dirac (FD) distribution

$$f_{FD} = \frac{1}{1 + e^{(E - E_F)/k_B T}}$$

The MB distribution is used for thermionic emission, while **field and photo-emission** calculations use the FD distribution, since the excited **electrons come from energy levels below the Fermi level, i.e. E<E**<sub>F</sub>

D. Dowell, <u>http://uspas.fnal.gov/materials/10MIT/MIT-High-Brightness.shtml</u>

### Fields near the cathode surface



## **Photo-electric Emission**

#### Spicer's three-step photoemission model

#### 1. Photon energy absorption by electron

- The optical skin depth depends on photon wavelength (~14 nm for UV light on Cu)
  - reflectivity and absorption as the photons travel into the cathode

#### 2. electron transport to the surface

- <u>electron-electron scattering</u>
- electron-phonon scattering
- angular cone of escaping electrons

#### 3. electron escape through the barrier

- Schottky effect and abrupt change in electron angle across the metalvacuum interface
- classical escape over the barrier due to the applied field



#### Direction normal to surface

### **Quantum Efficiency**

Combining the three steps together, the quantum efficiency, QE, can be expressed in terms of the probabilities for these processes to occur

- 1. absorption of the photon with energy  $\ \hbar\omega$
- 2. migration including e-e scattering to the surface
- 3. escape for electrons with kinematics above the barrier



Probability of a photon to be absorbed by the metal => **optical reflectivity** 

R(w) ~ 40% for metals R(w)~ 10% for semiconductors Probability that an electron reaches the surface without scattering => **transport to surface** 

e-e- scattering for metals e-phonon scattering for semiconductors with another electron

Fe-e(w) ~ 0.2

Probability that an electron will be excited into a state with sufficient perpendicular momentum to escape the material => escape over the barrier

- occupied states with enough energy to escape ~0.04
- electrons with angle within the max angle for escape ~0.01
- azimuthally isotropic emission ~1

#### **QE(Cu)** ~ 0.6\*0.2\*0.04\*0.01\*1 ~ 5\*10<sup>-5</sup>

D. H. Dowell, F. K. King, R. E. Kirby, and J. F. Schmerge, PRST AB 9, 063502 (2006)

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### **Intrinsic Emittance**

The total energy inside the cathode after absorption of the photon is  $E + \hbar \omega$ , therefore the total momentum inside and outside is

$$p_{total,in} = \sqrt{2m(E + \hbar\omega)}$$

$$p_{total,out} = \sqrt{2m(E + \hbar\omega - \Phi_{eff} - E_F)}$$

The usual definition of rms emittance is

 $\varepsilon_{n,x} = \beta \gamma \sqrt{< x^2 > < x'^2 > - < xx' >^2}$  =0, no correlation between

**=0**, **no correlation** between angle and position of electrons out of the cathode

 $\sigma_x$  transverse beam size determined by the size of the source, i.e. laser pulse

$$\varepsilon_{n,x} = \sigma_x \frac{\sqrt{\langle p_x^2 \rangle}}{mc}$$

 $p_x$  transverse momentum determined by the emission process

$$< p_x^2 >= \frac{\int \int \int p_x^2 g(E, \vartheta, \phi) dE d(\cos \vartheta) d\phi}{\int \int \int g(E, \vartheta, \phi) dE d(\cos \vartheta) d\phi}$$

 $g(E,\vartheta,\phi) = [1 - f_{FD}(E + \hbar\omega)]f_{FD}(E)$ 

electron distribution function which depends on the emission process

#### **Photo-electric normalized emittance**

$$\varepsilon_{n,x}^{intrinsic} = \sigma_x \sqrt{\frac{\hbar\omega - \Phi_{eff}}{3mc^2}} \approx 0.4 \ mm \ mrad/mm$$

D. H. Dowell, F. K. King, R. E. Kirby, and J. F. Schmerge, PRST AB 9, 063502 (2006)

## **Space Charge Effects**

As emitted particles come out from the cathode, they create their own electric field



As electrons are extracted they start to fill the entire region of length d

This field in the beam tail is opposed to the external field, growing with the extracted charge

#### The effective total potential is distorted by this field

 The potential distortion creates asymmetries in the electron beam (tails) and set a maximum extractable current in the steady state regime

## **Child-Langmuir Law**

The maximum current density in an electron source is typically given by the Child-Langmuir law, expressing how the steady state current varies with both the gap distance and the bias potential of the parallel plates:

$$j_{CL,1D} = \frac{4\varepsilon_0}{9} \sqrt{\frac{2e}{m}} \frac{V_0^{3/2}}{d^2}$$

#### **Assumptions**

- infinitely wide beam in the transverse dimensions (1D approximation)
- the beam completely fills the accelerating gap so that a steady state solution can be found
- relativistic effects can be neglected

### BUT

#### In state-of-art photo-injectors

- the initial electron beam pulse length is always much smaller than the accelerating gap
- the laser spot size on the cathode tends to be small (sub-mm) to decrease the cathode emittance contribution

#### The 1D Child-Langmuir formula is not valid anymore

## **Space Charge Limit**

Let's consider short bunches and introduce the **aspect ratio** 



Only a small part of the beam contributes to the space charge field and higher charge can be extracted

$$Q = J_{CL} \pi R^2 \propto \frac{V^{\frac{3}{2}}}{d^2} R^2 \propto (E_0 R)^{\frac{3}{2}}$$

The maximum surface density is set by the cathode extraction field

 $\frac{Q}{\pi R^2} < \epsilon_0 E_0$ 

Courtesy of P. Musumeci

### **Space Charge Limit Emittance**

The SCL sets a minimum value for the beam emittance, once the applied field (RF field) value and the requested charge are known.

For a cylindrical uniformly filled beam with radius R, the rms size is

$$\sigma_x = \frac{R}{2} = \sqrt{\frac{Q_{bunch}}{4\pi\varepsilon_0 E_a}}$$

Substituting the normalized divergence for photo-electric emission,  $\sigma_{x'}$ , the normalized cathode emittance results in the SCL photoelectric emittance

$$\varepsilon_{photo}^{SCL} = \sqrt{\frac{Q_{bunch}(\hbar\omega - \Phi_{eff})}{4\pi\varepsilon_0 mc^2 E_a}}$$



### **RF Gun**

Since we wish to accelerate electrons, the relevant modes are those with large longitudinal electric fields,  $E_z$   $dU \rightarrow \vec{z}$ 

$$\frac{dU}{dt} = q\vec{v}\cdot\vec{E}$$

#### These are the transverse magnetic (TM) modes.

The **TM**<sub>mnp</sub> designation denotes the mode is transverse magnetic since  $B_z = 0$ 

*m* mode number: azimuth angle,  $\vartheta$ -dependence or rotational symmetry of the fields => m = 0 for all RF guns, since a beam with rotational symmetry is desired *n* mode number: radial dependence of the field *p* mode number: longitudinal mode of cavity => RF emittance The full cell length for most RF guns is  $\lambda/2$  and p = 1.

The longitudinal electric field for a pill box cavity is

$$E_z^{mnp}(r,z) = E_0 J_m(k_{mn}r)\cos(m\theta)\cos\left(\frac{2p\pi}{\lambda}\right)$$

$$\left(\frac{2p\pi z}{2}\right)e^{i\omega\frac{z}{c}}$$

**Beam Axis** 

Consider the pi-mode for a one and a half cell gun, therefore m=0, n=0, p=1, then the gun field

$$E_z = E_0 \cos(kz) \sin(\omega t + \phi_0) \ , \ k = -\frac{\omega}{c}$$

### **RF Gun**



First order approximation from Maxwell equations solution for fundamental accelerating mode in a pillbox cavity.

Maxwell's equation connect the momentum kicks of the radial electric field to the z- and tderivative of the longitudinal electric field:

$$E_{z} = E_{0}cos(kz)sin(\omega t + \phi_{0})$$

$$E_{r} = \frac{kr}{2}E_{0}sin(kz)sin(\omega t + \phi_{0}) = -\frac{r}{2}\frac{\partial}{\partial z}E_{z}$$

$$F_{r} = e(E_{r} - \beta cB_{\theta})$$

$$B_{\theta} = c\frac{kr}{2}E_{0}cos(kz)cos(\omega t + \phi_{0}) = \frac{r}{2c}\frac{\partial}{\partial t}E_{z}$$
Radial force

### **Optical properties of the gun RF field**

The radial momentum kick is

$$\Delta p_r = e \int E_r \frac{dz}{\beta c} = -\frac{e}{2} \int \frac{r}{\beta c} \frac{\partial E_z}{\partial z} dz$$

If we assume that the RF field is a constant step function in over the gun length, and integrate the force impulse over the position at the exit iris, the change in radial momentum is obtained

$$\Delta p_r = -\frac{eE_0}{mc^2}r\sin\phi \qquad \left(\phi = \omega t + \phi_0 - k_z z_f\right)$$

Moving from cylindrical to cartesian coordinates we obtain the change in transverse momentum at the exit of the iris in terms of a kick angle

If we define the angular kick the beam gets at the iris exit in terms of the RF gun focal length

$$x' = \frac{x}{f_{RF}} \qquad \qquad f_{RF} = -\frac{2\beta\gamma mc^2}{eE_0\sin\phi}$$

The beam out of the gun require a focusing force

In numbers: 
$$E_0 = 110 \ MV/m$$
,  $E_{gun} = 5 \ MeV$   $\phi = 30 \deg f_{RF} \cong -18 \ cm$ 

### Linear and non-linear RF emittance

**Phase dependent focal strength**: electrons at various longitudinal positions along the bunch length, arriving at different phases at the gun exit, experience different kicks



## **Space Charge Effects**

Space charge forces influence the beam dynamics and are one of the main performance limitations in high brightness photo-injectors

Let's consider first space charge forces in highly relativistic bunches

- <u>Laboratory system</u>: N relativistic electrons uniformly distributed in a cylinder with radius  $r_b$  and length  $L_b$
- <u>Co-moving particle coordinate system</u>: electrons are at rest and a pure Coulomb field inside the bunch



 $\gamma\gg 1~,~L_b^*\gg L_b~$ : the approximation of infinitely long cylindrical charge distribution is valid and the electric field has only a radial component

$$E_r^*(r) = -\frac{Ne}{2\pi\varepsilon_0 L_b^*} \frac{r}{r_b^2} , \ r \leqslant r_b$$
$$E_r^*(r) = -\frac{Ne}{2\pi\varepsilon_0 L_b^*} \frac{1}{r} , \ r \geqslant r_b$$

### **Space Charge Effects**

Transforming back to the laboratory frame the radial component of the electric field yields to a radial electric field and an azimuthal magnetic field

$$E_r(r) = \gamma E_r^*(r) = -\frac{Ne}{2\pi\varepsilon_0 L_b} \frac{r}{r_b^2}$$
$$B_\phi = \frac{v}{c^2} E_r(r) \ , \ r \leqslant r_b$$

The force a test electron inside the bunch experiences due to the  $E_r$  and  $B_{phi}$  field is determined through the Lorentz force

$$\vec{F} = -e(\vec{E} + \vec{v} \times \vec{B})$$

$$F_r(r) = \frac{Ne^2}{2\pi\varepsilon_0 L_b} \frac{r}{r_b^2} \left(1 - \frac{v^2}{c^2}\right) = \frac{Ne^2}{2\pi\varepsilon_0 L_b} \frac{r}{r_b^2} \frac{1}{\gamma^2}$$



The overall force points outwards and is then a defocusing force, which vanishes for  $\gamma\to\infty$ 

### **Space Charge Dependence on Charge Density Distribution**

The repulsive space charge forces remain an unavoidable problem: is it possible to counteract these internal forces at least partially by applying an external focusing field?

For the cylindrical electron bunch with constant charge density, this is possible because the total space charge force depends linearly on the displacement *r* from the axis

$$F_r(r) = \frac{Ne^2}{2\pi\varepsilon_0 L_b} \frac{r}{r_b^2} \frac{1}{\gamma^2}$$

What happens in case of a Gaussian transverse density distribution?



## (Gun) Compensating Solenoid

- The beam wants to diverge for 2 reasons
  - Space charge
    - The electron bunch coming off the cathode is very dense and wants to expand violently due to the electrostatic force
  - Divergent RF Fields within the RF gun
    - Anytime the electric field varies longitudinally there is a radial field
- The solenoid focuses the low energy beam radially

### **Multiple Role of the Gun Solenoid**

- It cancels the strong negative RF lens effect
- it is **crucial for emittance compensation** by aligning the slices transversely along the bunch to minimize the projected emittance
- Imaging the electron emission from the cathode to have a good representation of the true
   QE map



Above: Laser cathode image of air force mask in laser room. Below: Resulting electron beam.





Above: Laser cathode image with mask removed showing smooth profile. Below: Resulting electron beam showing hot spot of emission.



Courtesy of William S. Graves



Experimental evidence of emittance oscillations in the drift before the booster has been proved at the SPARC\_LAB high brightness photo-injector



Experimental evidence of emittance oscillations in the drift before the booster has been proved at the SPARC\_LAB high brightness photo-injector



The beam needs to be matched into a high-gradient booster to damp the emittance oscillations

**Matching condition**: *Ferrario's working point* (M. Ferrario et al., "HOMDYN study for the LCLS RF photo-injector", SLAC-PUB-8400, LCLS-TN-00-04, LNF-00/004(P))



- To preserve brightness, it is desirable to accelerate the beam as quickly as possible, thus 'freezing-in' the space charge forces, before they can significantly dilute the phase space
  - RF gun
- Space charge can be controlled by reducing the beam charge density, especially in the cathode region where the beam energy is low
  - Larger transverse beam sizes at the cathode to reduce the density, but this increases the cathode intrinsic emittance
- Space charge can be also controlled by increasing the bunch length
  - Increase of longitudinal emittance
    - This in turn necessitates compression methods

### **Magnetic Compression**

Picosecond electron bunches are produced in RF guns with peak current less than 100 A. Bunch compressors are used to compress the bunches to tens of femtoseconds to produce kA peak current at higher beam energy. **~ 10-100 fs** 



### **Chicane Compression**

A chicane consists of four rectangular dipoles length L with the 1<sup>st</sup> and 2<sup>nd</sup> (also 3<sup>rd</sup> and 4<sup>th</sup>) separated by distance D. The distance between 2<sup>nd</sup> and 3<sup>rd</sup> does not contribute to R<sub>56</sub>.



## **RF Compression: Velocity Bunching**

Sub-relativistic electrons (  $\beta_c$  < 1) injected into a traveling wave cavity at zero crossing move more slowly than the RF wave ( $\beta_{RF} \sim 1$ ). The electron bunch slips back to an accelerating phase and becomes simultaneously accelerated and compressed. Rectilinear trajectories => non coherent synchrotron radiation emission



- L. Serafini and M. Ferrario, Velocity Bunching in Photo-injectors, Physics of, and Science with the X-Ray Free-Electron Laser, edited.by S. Chattopadhyay et al. © 2001 American Institute of Physics
- M. Ferrario et al., Experimental Demonstration of Emittance Compensation with Velocity Bunching, Phys. Rev. Lett. 104, 054801 (2010)

## **RF Compression: Velocity Bunching**

An energy/phase correlation is imparted and removed smoothly, through phase slippage and acceleration, inside of the RF linac section.

The beam has no initial phase-energy correlation, injected at the zero-crossing of the wave, and ends with maximum energy spread and minimum phase extent



X-Ray Free-Electron Laser, edited.by S. Chattopadhyay et al. © 2001 American Institute of Physics

## **Velocity Bunching**

- It has been demonstrated to be well integrated in emittance compensation schemes
  - M. Ferrario et al., Experimental Demonstration of Emittance Compensation with Velocity Bunching, Phys. Rev. Lett. **104**, 054801 (2010)
- Compression happens along rectilinear trajectories
  - No Coherent Synchrotron Radiation which causes emittance dilution
- Compression and acceleration take place at the same time and within the same accelerating cavity
  - space charge force mitigation

### Virtual Operation of a HB Photo-injector The SPARC\_LAB experience

#### The SPARC LAB Test Facility FLAME laser transport line (Ti:Sa laser, 300 TW, < 30 fs) 90 - 180 MeV **Beam energy Bunch charge** 50 – 700 pC 10 Hz Rep. rate **Thomson back-scattering beamline** < 2 mm-mrad ε<sub>n</sub> 0.05% - 1% σ.. Bunch length <100 fs - 10 ps External injection beamline **Ti:Sa Laser** Test bench beamline S-band **THz source** 2 S-band structures **RF** gun **1** C-band structure Cathode Undulator beamline **r-PWFA** experiments 7=0 Z: beam propagation axis http://www.lnf.infn.it/~chiadron/index.php Sources for Plasma Accelerators and Radiation Compton with Lasers And Beams https://www.google.it/maps/@41.8231995,12.6743967,3a,69.7y,130.68h,76.68t/data=!3m6!1e1!3m4!1sYyB35yaBMxJgQ92-wp3oYQ!2e0!7i13312!8i6656?hl=en



# **Electron Emission**



The extracted charge depends on the applied RF field and the RF gun phase

Radial expansion of the beam indicates the laser pulse is well aligned on the cathode, therefore the electron beam experience a radial force The photo-cathode laser (266 nm) impinges on the copper cathode and electrons start to be extracted



### Beam Injection and "on crest" acceleration



## **On Crest Emittance Compensation**



## **On Crest Energy Measurement**



#### Sub-ps laser pulse

=> The electron beam does not experience RF non-linearities: linear longitudinal phase space

#### few ps laser pulse

=> The electron beam experiences RF nonlinearities: C-shape longitudinal phase space



# **SASE FEL Radiation**

Electron beam image on view screens while the gap is closing. Weak FEL radiation already after the third module. **Measurements at the SPARC\_LAB Test Facility (INFN-LNF)** 





S. Reiche, Simulation Code Genesis 1.3



## **Bibliography and Acknowledgment**

Material from these lectures has been liberally taken from talks/papers/lectures/proceedings/notes from a large number of people which I acknowledge here together with a list of references

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