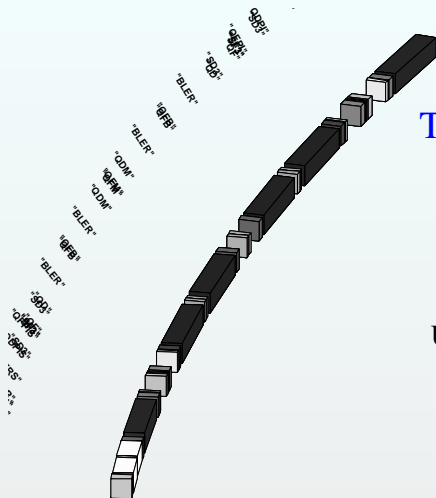


TOLERANCES AND IMPERFECTIONS

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3 dicembre 2009



Objectives

Objective

Obtain tolerance table for various machine misalignments

Analyze

Magnet Installation

Monitor Errors

Correction Method

Correctors Pattern

Obtain

machine performance

→ **Effective** ϵ_y

Typical Expected Errors (ILC Damping Ring)

| | |
|--------------------------------------|---------------------|
| rms BPM vertical misalignment | $50 \mu\text{m}$ |
| rms vertical corrector tilt | $500 \mu\text{rad}$ |
| rms quadrupole vertical misalignment | $50 \mu\text{m}$ |
| rms quadrupole tilt | $200 \mu\text{rad}$ |
| rms sextupole vertical misalignment | $100 \mu\text{m}$ |
| BPM horizontal resolution | $10 \mu\text{m}$ |
| BPM vertical resolution | $10 \mu\text{m}$ |
| systematic BPM gain error | 0.01 |
| systematic BPM coupling error | 0.01 |

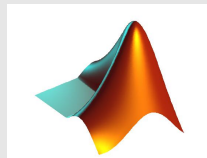
Tools

Tools used for simulation are:

MADX



MATLAB





MADX

LOOP:

0

reset



1

misalign



2

correct



3

store results

```

@ SEQUENCE           %07s  "RING_V9"
@ PARTICLE           %08s  "POSITRON"
@ MASS               %1e    0.00051099891
@ CHARGE             %1e    1
@ ENERGY            %1e    6.7
@ PC                 %1e    6.699999981
@ GAMMA              %1e    13111.57396
@ KBUNCH             %1e    1
@ BCURRENT           %1e    0.002083880464
@ SIGE               %1e    0.0006152951332
@ SIGT               %1e    0.005022518317
@ NPART              %1e    5.74e+10
@ EX                  %1e    1.728893117e-09
@ EY                  %1e    5.174439727e-38
@ ET                  %1e    3.088697333e-06
@ LENGTH             %1e    1323.031379
@ ALFA               %1e    0
@ ORBIT5             %1e    0.01104555267
@ GAMMATR            %1e    0
@ Q1                  %1e    44.5456548
@ Q2                  %1e    19.33872199
@ DQ1                 %1e    0
@ DQ2                 %1e    0
  
```



MADX

LOOP:

0

reset



1

misalign



2

correct



3

store results

x_plane

Want to correct orbit of a single ring

188 monitors and 172 correctors found in input

188 monitors and 172 correctors enabled

start SVD correction using 172 correctors

CORRECTION SUMMARY:

rms before correction: 0.054057 mm

rms after correction: 0.001179 mm

ptp before correction: 0.268263 mm

ptp after correction: 0.016879 mm

y_plane

Want to correct orbit of a single ring

116 monitors and 100 correctors found in input

116 monitors and 100 correctors enabled

start SVD correction using 100 correctors

CORRECTION SUMMARY:

rms before correction: 0.320471 mm

rms after correction: 0.003550 mm

ptp before correction: 1.173135 mm

ptp after correction: 0.038068 mm

**MADX**

Useful:

MACRO
LOOPS
CORRECT S.V.D.
EALIGN



but

MADX does the job, but it is quite boring to change settings for next analysis.

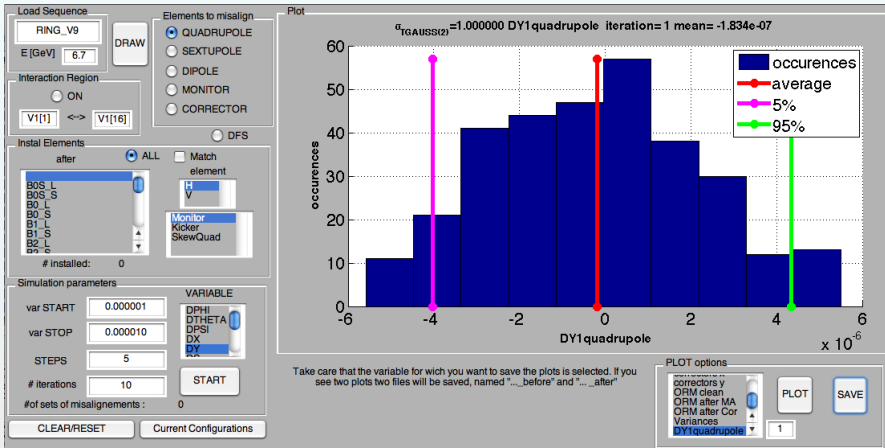


so

MATLAB
as an interactive input editor for MADX
as a plotter for MADX output



MATLAB





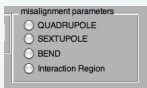
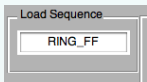
Used for:

- interactivity with MADX
- analyze ANY sequence
- MULTIPLE errors in any element
- MULTIPLE error distributions
- EASY installation of Monitors, Correctors, Skew Quadrupoles at any location
- show and save plots



Example of procedure:

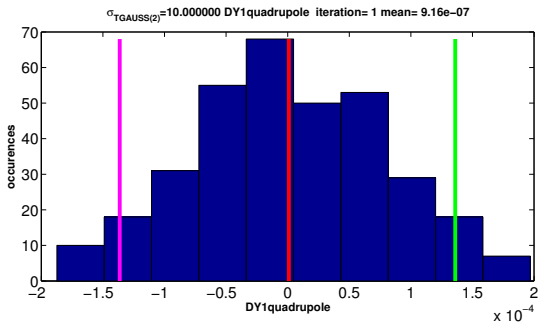
- load and draw schematic view of sequence
- place monitors and correctors or load prebuild file.
- exclude Interaction Region for first analysis
- misalign in Y sextupoles and/or quadrupoles
- tilt quadrupoles
- add monitor reading errors in vertical plane
- simulate N machines for M steps
- Compute theoretical and measured Orbit Response Matrix and Dispersion Response Matrix (to be used later for correction)
- plot histograms or bar plots (for multiple steps)



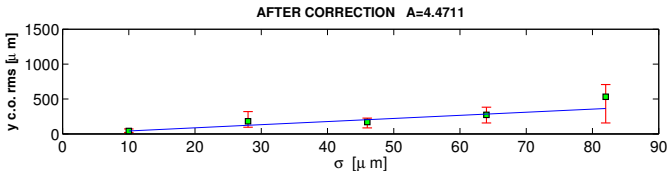
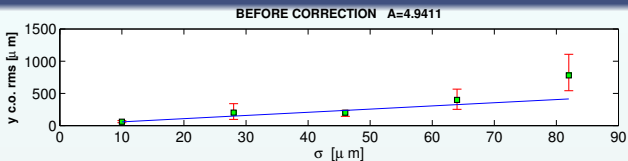
Δy for quadrupoles

30 machine simulated in groups of 5
for Δy from 1 to $\simeq 82 \mu\text{m}$. (20 min)

typical error distribution ($\sigma=82 \mu\text{m}$):



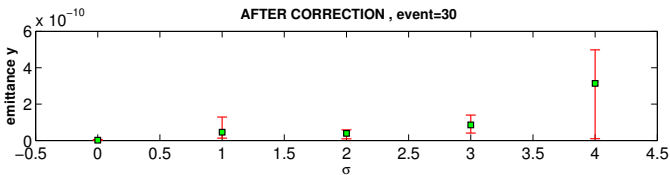
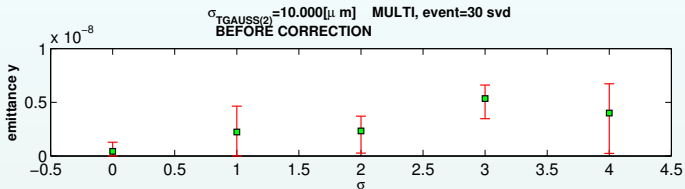
Y rms Closed Orbit Before (After pre-correction to find Closed Orbit) and After Correction



$A = \text{Amplification Factor}$

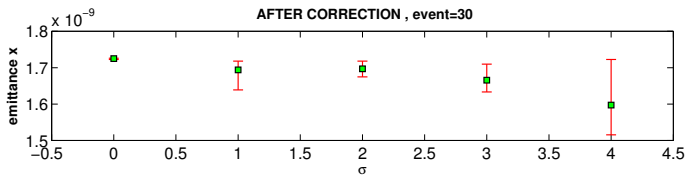
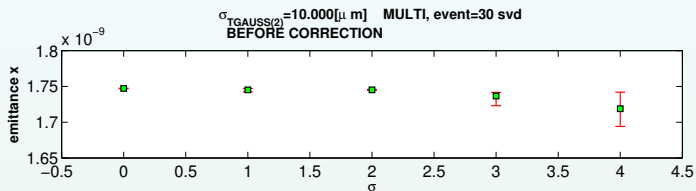
$$\sqrt{\langle y_{CO} \rangle^2} = A \sqrt{\langle \Delta y_{quad} \rangle^2}$$

ϵ_y Before And After Correction



SCALE : Steps from $10 \mu\text{ m}$ to $82 \mu\text{ m}$

ϵ_x Before And After Correction

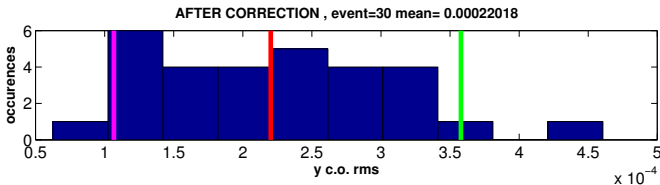
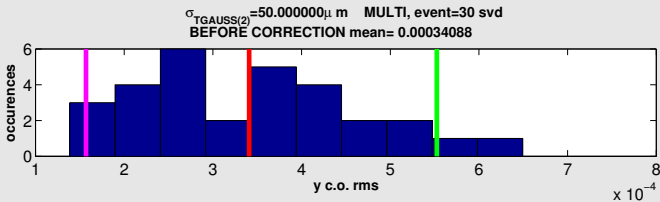


SCALE : Steps from $10 \mu\text{ m}$ to $82 \mu\text{ m}$

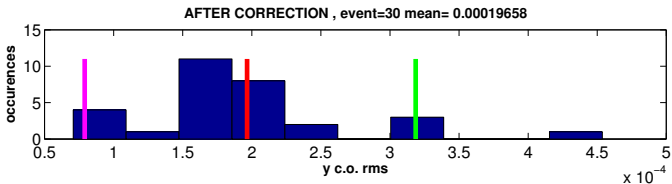
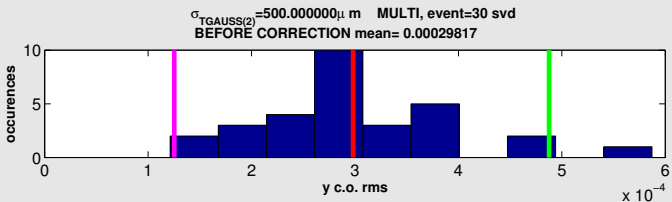
ϵ_y After Correction With And Without Monitor Errors

30 machine simulated with quadrupoles $\Delta y = 50 \mu\text{m}$.

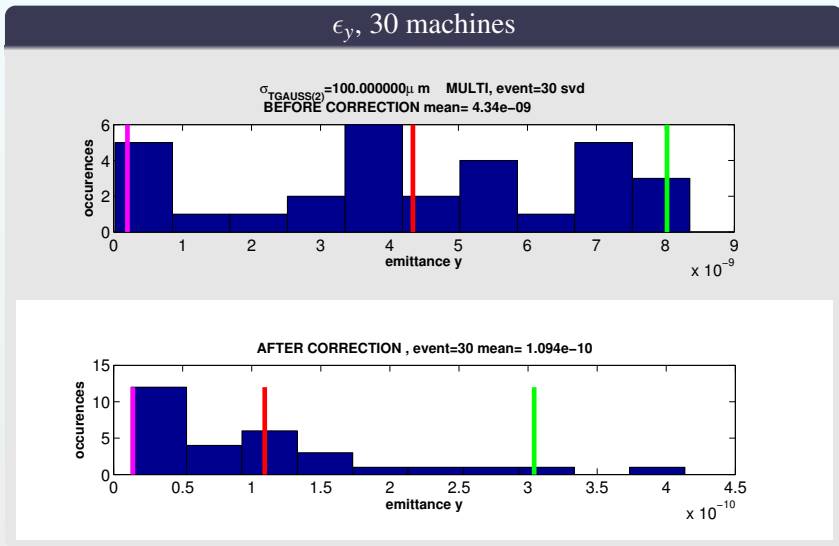
NO Monitor Errors



WITH Monitor Errors in Y 500 μ m

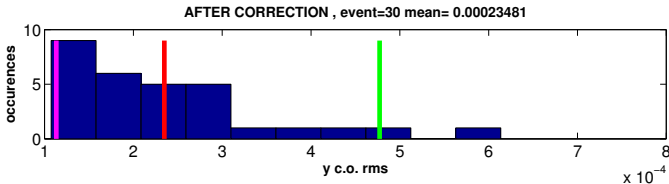
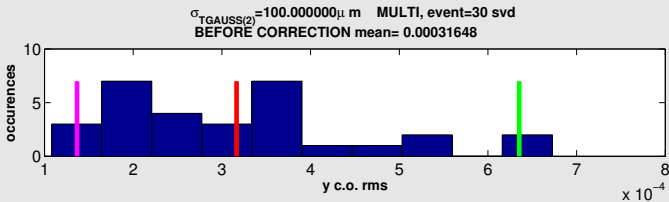


All Errors From ILC Typical Expected Errors Table



All Errors From ILC Typical Expected Errors Table

Y closed orbit, 30 machines

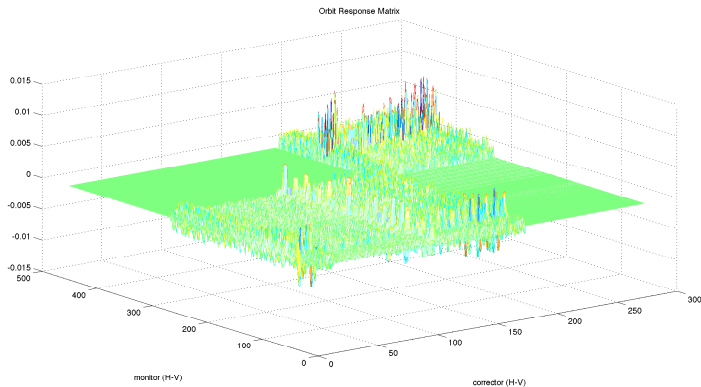


WORK IN PROGRESS

- Dispersion Free Steering
- Coupling Correction
- Optimize number of correctors

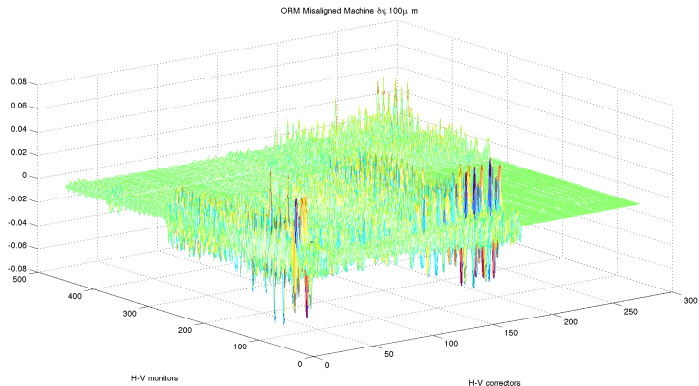
Dispersion Free Steering

$$\begin{pmatrix} \vec{M} \\ \vec{D} \\ \vec{0} \end{pmatrix} + \begin{pmatrix} \alpha \cdot ORM \\ (1 - \alpha) \cdot DRM \\ \beta \cdot \mathbb{I} \end{pmatrix} \times \begin{pmatrix} \vec{K} \end{pmatrix} = 0;$$



Dispersion Free Steering

$$\begin{pmatrix} \vec{M} \\ \vec{D} \\ \vec{0} \end{pmatrix} + \begin{pmatrix} \alpha \cdot ORM \\ (1 - \alpha) \cdot DRM \\ \beta \cdot \mathbb{I} \end{pmatrix} \times \begin{pmatrix} \vec{K} \end{pmatrix} = 0;$$



Definitions

Monitor Errors

GAIN

reading multiplied by a factor 1+ given error

$$\text{MSCALX}=0.1$$

$$\text{reading}=1.1*\text{true reading}$$

Reading

$$\text{reading}=\text{true reading}+\text{error}$$