## 3D structure: present and future

Alessandro Bacchetta

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MAPPING
THE PROTON IN 3D


European Research Council


## Acknowledgements

Even if I will present an overview, I acknowledge the contribution of my research group in shaping and developing many of the ideas that I will mention

- Filippo Delcarro, Luca Mantovani, Fulvio Piacenza [PhD students]
- Giuseppe Bozzi, Cristian Pisano [post-docs]
- Barbara Pasquini, Marco Radici [staff]


## Disclaimer

My task was to talk about the present and the future, but

## It is difficult to predict, especially the future

N. Bohr

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## PDFs



## PDF


$\longrightarrow \vec{b}_{\perp}$ dependence
…ㄱ $\vec{k}_{\perp}$ dependence

# PDF 


$\longrightarrow \vec{b}_{\perp}$ dependence
…入 $\vec{k}_{\perp}$ dependence

# PDF 


$\longrightarrow \quad \vec{b}_{\perp}$ dependence
…ㄱ $\vec{k}_{\perp}$ dependence

these two variables are NOT Fourier conjugate

## 3D structure in momentum space



Unpolarized and Sivers TMMDs

## 3D structure in impact parameter space


down valence


-Fourier $t$. of
GPDs at [ $\mathrm{x}, \mathrm{O}, \mathrm{t}$ )
-Model assumptions are critical
-up: smaller distorsion and opposite sign

## Recent review

The European Physical Journal A
All Volumes \& Issues

## The 3-D Structure of the Nucleon

ISSN: 1434-6001 (Print) 1434-601X (Online)
In this topical collection (17 articles)


EPJ A [2016] 52

## The present situation

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- "Model assumptions" [intended in a broad way] are critical
- A good amount of data is already available [but still insufficient]


## The future priorities (in my humble opinion)

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## The future priorities (in my humble opinion)

- Obtain precise determinations of TMDs and GPDs [and direct or indirect determinations of Wigner distributions/ generalized TMDs]
- Find applications of this knowledge outside the field of "proton structure" studies [and react accordingly]
- Train young generations [and find jobs for them]


## Some of the present-day challenges

## Change of sign of Sivers function

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Sivers function sIDIS $=-$ Sivers function Drell-Yan
Collins, PLB 536 (O2)

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Collins, PLB 536 (OD)


We hope to have a clear result from COMPASS

## GPD parametrizations

## Example of data: target spin asymmetry at CLAS



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## Status of spin sum rule


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## TMD evolution

HERMES, $Q \approx 1.5 \mathrm{GeV}$


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Aaltonen et al., PRD86 (2012)

## TMD evolution

HERMES, $Q \approx 1.5 \mathrm{GeV}$


## CDF, Q $\approx 91 \mathrm{GeV}$



Aaltonen et al., PRD86 (2012)

Width of TMDs changes of one order of magnitude: can we explain this in detail? [TMD evolution]

TMD
evolution

TMD
evolution

## TMD and QCD corrections

"intrinsic"<br>transverse<br>momentum



## TMD and QCD corrections



## TMD and QCD corrections



## TMD and QCD corrections

TMD formalism


## TMD and QCD corrections

TMD formalism
collinear formalism


## A "phase transition" in TMD studies

1D
[standard parton distribution functions - PDFs]

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1D
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Parton model

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1D
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Parton model

QCD
analysis

+ data


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## Global fits

Parton model

QCD
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## A "phase transition" in TMD studies

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[standard parton distribution functions - PDF]

## SD

[transverse momentum distributions - TADs]

Global fits
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# Global fits 

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Parton model
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analysis

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## A "phase transition" in TMD studies

1D
[standard parton distribution functions - PDF]

## BD

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# "Phase 2" 

Global fits

| "Phase 2" |
| :---: |
| "Phase 1"OCD <br> analysis <br> + data |

## A "phase transition" in TMD studies

1D
[standard parton distribution functions - PDFs]

## 3D

[transverse momentum distributions - TMDs]
"Phase 2"

Global fits

Parton model
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## Parton model

"Phase 1" QCD
analysis

+ data



## TMD evolution: Fourier transform

$$
f_{1}^{a}\left(x, k_{\perp} ; \mu^{2}\right)=\frac{1}{2 \pi} \int d^{2} b_{T} e^{-i b_{T} \cdot k_{\perp}} \widetilde{f}_{1}^{a}\left(x, b_{T} ; \mu^{2}\right)
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Rogers, Aybat, PRD 83 (11)
Collins, "Foundations of Perturbative QCD" (11)
possible schemes, e.g.,
Collins, Soper, Sterman, NPB250 (85)
Laenen, Sterman, Vogelsang, PRL 84 (OO)
Echevarria, Idilbi, Schaefer, Scimemi, EPJ C73 (13)

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\tilde{f}_{1}^{a}\left(x, b_{T} ; \mu^{2}\right) & =\sum_{i}\left(\tilde{C}_{a / i} \otimes f_{1}^{i}\right)\left(x, b_{*} ; \mu_{b}\right) e^{\tilde{S}\left(b_{*} ; \mu_{b}, \mu\right)} e^{g_{K}\left(b_{T}\right) \ln \frac{\mu}{\mu_{0}}} \hat{f}_{\mathrm{NP}}^{a}\left(x, b_{T}\right)
\end{aligned}
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## Presently or soon available fits

|  | Framework | HERMES | COMPASS | DY | Z <br> production | $N$ of points |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| KN 2006 <br> hep-ph/0506225 | NLL | $x$ | $x$ | $\checkmark$ | $\checkmark$ | 98 |
| Pavia 2013 (+Amsterdam,Bilbao) arXiv: 1309. 350 | No evo | $\checkmark$ | $x$ | $x$ | $x$ | 1538 |
| $\begin{gathered} \text { Torino } 2014 \\ \begin{array}{c} \text { (+JLab) } \\ \text { arXiv:1312. } 6261 \end{array} \end{gathered}$ | No evo | (separately) | (separately) | $x$ | $x$ | $\begin{gathered} 576 \text { (H) } \\ 6284 \text { (C) } \end{gathered}$ |
| $\begin{gathered} \hline \text { DEMS } 2014 \\ \text { arXiv:1407.3311 } \end{gathered}$ | NNLL | $x$ | $x$ | $\checkmark$ | $\checkmark$ | 223 |
| EIKV 2014 <br> arXiv: 1401.5078 | NLL | $1\left(x, Q^{2}\right)$ bin | $1\left(x, Q^{2}\right)$ bin | $\checkmark$ | $\checkmark$ | 500 (?) |
| Pavia 2016 | NLL | $\checkmark$ | $\checkmark$ | $\checkmark$ | $\checkmark$ | 8156 |

## DEMS 2014

D’Alesio, Echevarria, Melis, Scimemi, JHEP 1411 (14)



NNLL
$X^{2} /$ dof $=1.10$

## Glimpses of Pavia's results

- $\langle z\rangle=0.23$ (offset=6)
- $\langle z\rangle=0.28$ (offset=5)
- $\langle z\rangle=0.33$ (offset=4)
- $\langle z\rangle=0.38$ (offset=3)
- $\langle\mathrm{z}\rangle=0.45$ (offset=2)
- $\langle z\rangle=0.55$ (offset=1)
- $\langle\mathrm{z}\rangle=0.65$ (offset=0)
$\left\langle(x)=0.01,\left(Q^{2}\right)=1.8 \mathrm{GeV}^{2}\right.$



This is the first fit putting together data from SIDIS to $Z$ production
$X^{2} /$ dof $=1.55 \pm 0.05$

## Evolution and Sivers sign change


S. Melis, Nuovo Cim. CO36 (13)

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Different implementations of TMD evolution affect the asymmetry in a different way (Pavia 2016: $\mathrm{g}_{2}=0.12$ )
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STAR Collab. arXiv: 1511.06003 EIKV, arXiv:1401.5078


## The $Y$ term

Collins et al., arXiv: 1605.00671 and T. Rogers's talk at Trento 2016

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\begin{aligned}
F_{U U, T}\left(x, z, \boldsymbol{P}_{h T}^{2}, Q^{2}\right) & =x \sum_{a} \mathcal{H}_{U U, T}^{a}\left(Q^{2} ; \mu^{2}\right) \int \frac{d \boldsymbol{b}_{\perp}^{2}}{4 \pi} J_{0}\left(\left|\boldsymbol{b}_{T}\right|\left|\boldsymbol{P}_{h \perp}\right|\right) \tilde{f}_{1}^{a}\left(x, z^{2} \boldsymbol{b}_{\perp}^{2} ; \mu^{2}\right) \tilde{D}_{1}^{a \rightarrow h}\left(z, \boldsymbol{b}_{\perp}^{2} ; \mu^{2}\right) \\
& +Y_{U U, T}\left(Q^{2}, \boldsymbol{P}_{h T}^{2}\right)+\mathcal{O}\left(M^{2} / Q^{2}\right)
\end{aligned}
$$

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\begin{gathered}
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\text { Collins et al., arXiv: 1605.00671 } \\
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\text { The W term } \\
\text { Good approximation } \\
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## Y term in Z boson production

Bozzi et al. arXiv:0812.2862


In these conditions, the matching works.
Almost the full range is dominated by resummation

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TMD formalism
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## New COMPASS data and $Y$ term


M. Stolarsky, SPIN 2014


## New COMPASS data and Y term



Is this the onset of high-transverse-momentum perturbative contributions?

## Matching with fixed-order calculations

Collins et al., arXiv: 1605.00671


The collinear calculation (green line) is much smaller than data Standard $Y$ term is bigger than data [black line] $\rightarrow$ modifications needed [blue line]

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 TMD formalism ?

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TMD formalism? ${ }^{Q^{2}=1 . V^{2}, x=}$ colinear formalism?
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- Fit start working well with data from very different experiments
- There is still strong dependence on the assumptions made in the fits and on the implementation of TMD evolution
- The theory is still not completely under control in the low energy region


## Extensions of data sets

## Available data



## Available data



Abbot et al. hep-ex/9909020 Affolder et al. hep-ex/0001021 Abazov et al. arXiv:0712.0803 Aaltonen et al. arXiv: 1207.7138

## Drell-Yan@荘 Fermilab

Ito et al., PRD93 [81] Moreno et al. PRD 43 (91) Antreyan et al. PRL47 (81)

Airapetian et al., PRD87 (2013)

## Comparison with collinear PDFs


talk by E. Nocera at POETIC2016

## Comparison with collinear PDFs


talk by E. Nocera at POETIC2016

## Comparison with future perspectives


from EIC white paper EPJA 52 [2016], see talks by A. Deshpande, M. Contalbrigo

## Comparison with future perspectives



## Recent ${ }^{3} \mathrm{He}$ data from JLab Hall A



## Distribution-fragmentation kT



Pavia 2013 fit based only on SIDIS data showed a strong anticorrelation that could not be resolved without further data

## Distribution-fragmentation $\mathrm{kT}_{T}$



Pavia 2016 fit uses also DY data. The anticorrelation is weaker than before but still strong. Independent information about fragmentation kT is necessary.

## TMD fragmentation functions



Bacchetta, Echevarria, Mulders, Radici, Signori, arXiv:1508.00402

## TMD fragmentation functions



Bacchetta, Echevarria, Mulders, Radici, Signori, arXiv:1508.00402

## TMD fragmentation functions



Bruno Touschek, pioneer of $\mathrm{e}^{+} \mathrm{e}^{-}$colliders


## You need also $\mathrm{e}^{+} \mathrm{e}^{-}$data to study <br> TMD fragmentation functions

see talks by Artru, Matevosyan, Radici, Liang

## Status of other extractions

Data, theory, fits

see talks by Courtoy, D'Alesio

## Helicity TMD [FLL structure function)


Jefferson Lab

arXiv: 1003.4549

http://dx.doi.org/10.3204/DESY-THESIS-2010-043

## Worm-gear TMDs


see talk by B. Parsamyan
see also HERMES, arXiv:1107.4227

## TMDs at LHC

## Z boson transverse momentum

NNLL


D’Alesio, Echevarria, Melis, Scimemi, JHEP 1411 (14)

## Z boson transverse momentum



## Perturbative transverse momentum only

With intrinsic transverse momentum

## Z boson transverse momentum

difference between red and magenta lines due to nonperturbative contributions


## W transverse momentum



Flavor dependence of TMDs can affect the shape of the transversemomentum spectrum of W bosons. In turn, this might be relevant for precise determinations of Mw

## Higgs transverse momentum


G. Ferrera, talk at REF 2014, Antwerp, https://indico.cern.ch/event/330428/

## Gluon TMDs [and linear polarisation]



Not only we could be potentially sensitive to unpolarized gluon TMDs, but also to linearly polarized gluon TMDs

TMDs at LHC

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- Data can be useful for TMD extraction, but finer binning at low transverse momentum is required
- Potential for gluon TMD studies


## Other important issues related to LHC

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- Role of parton distribution functions (including 3D ones) in searches for physics beyond the standard model
see talks by Courtoy, Pitschmann


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- Role of parton distribution functions [including 3D ones) in searches for physics beyond the standard model
see talks by Courtoy, Pitschmann
- 3D distributions are just single-parton density distributions. For LHC, multiparton distributions turn out to be extremely relevant. They are also related to twist-3 parton distribution functions.
see talk by S. Scopetta


## Conclusions

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- Steady progress in the field of 3D nucleon structure, both experimental and theoretical


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- Steady progress in the field of 3D nucleon structure, both experimental and theoretical
- Accurate extractions of parton distributions [quark and gluons] require more data
- I did not manage to predict much about the future, but I can say for sure that it will be bright!

