

Top quark Physics at the Large Hadron Collider

***past, present, future from 7 to 13 TeV
collisions***

***INFN and Dipartimento di Fisica
Università di Napoli “Federico II”
Seminar
27th April 2016***

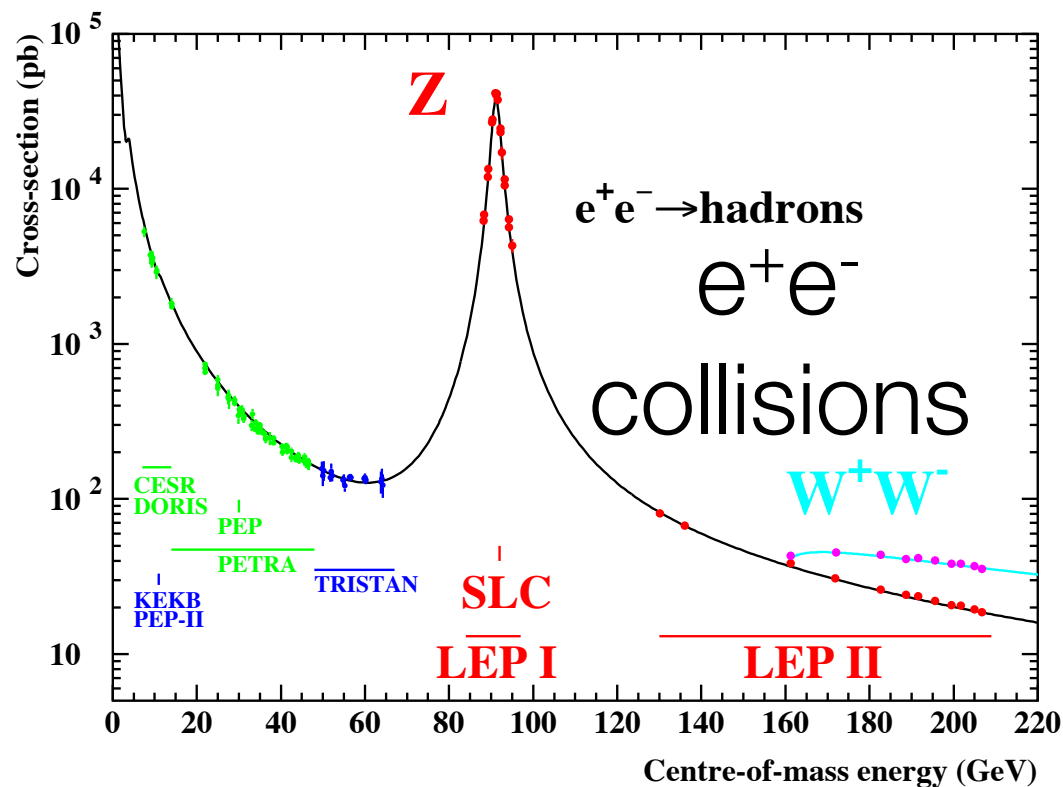
• ***Francesco Spanò***



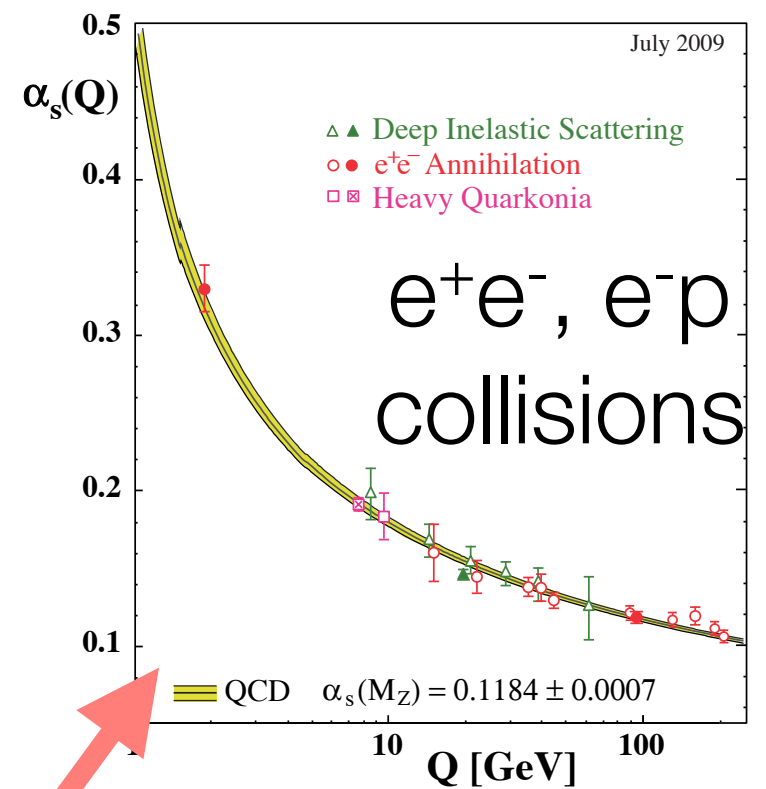
Outline

- **Why top quark?**
- **The tools of the trade**
 - **LHC:** a top factory at work
 - **The ATLAS and CMS detectors:** top observers
- Measuring **top quark production: top pair, *single top***
 - **The emergence of boosted tops**
- Measuring the **top quark property:**
 - **mass**
- **Conclusions**

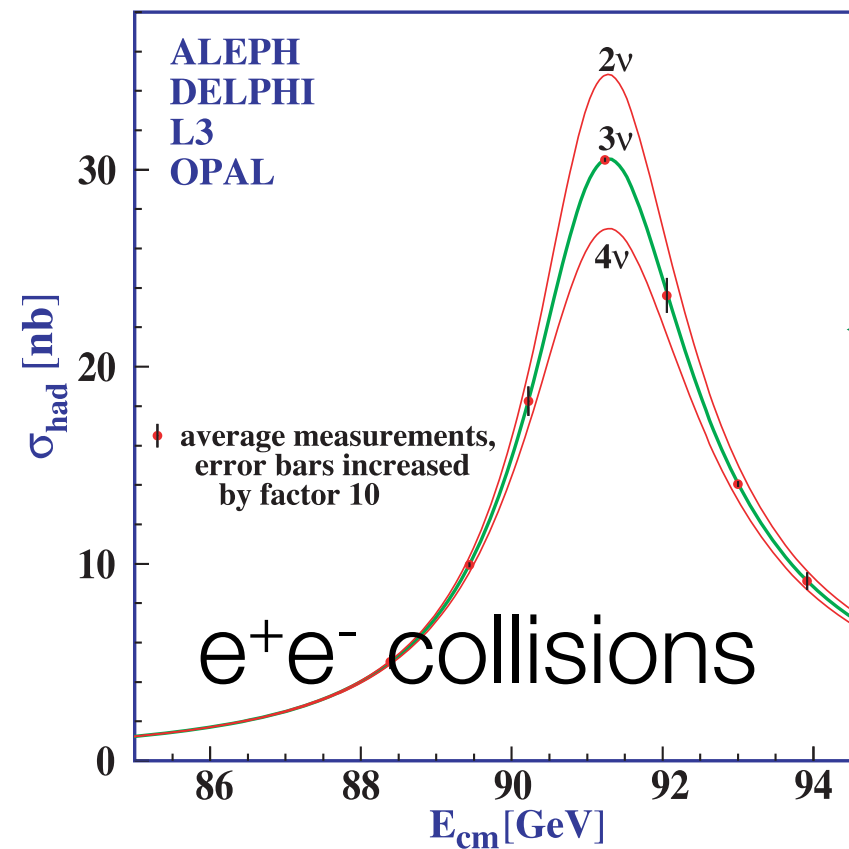
Standard (model) successes *at colliders*



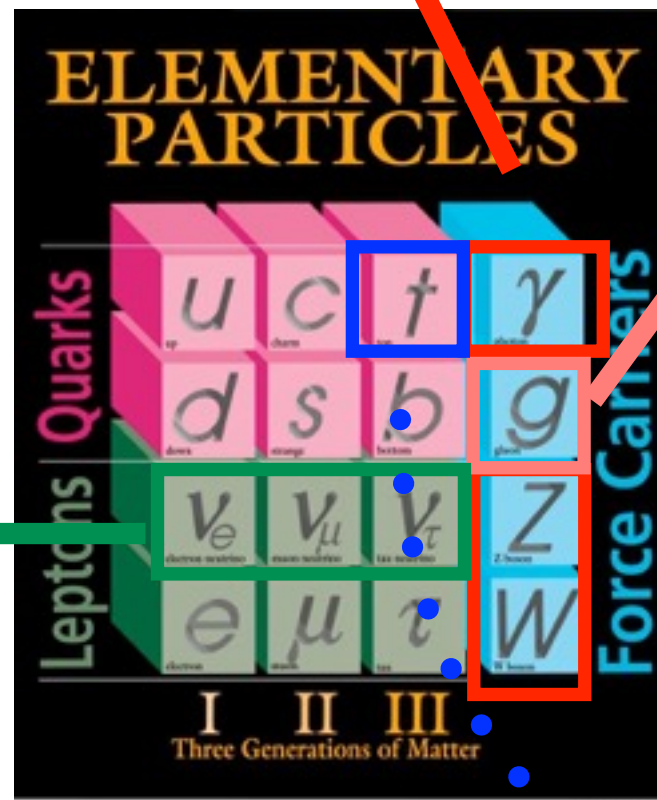
Electromagnetic force unified to Weak: electrons annihilate to W, Z, in addition to photons



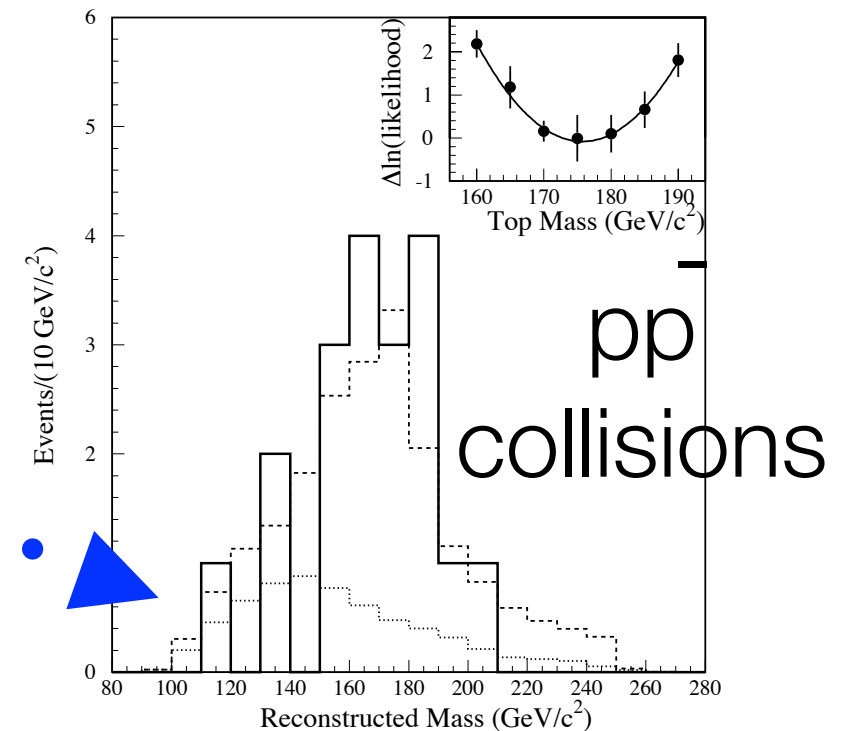
Strong interaction strength changes with momentum exchange



there are only 3 standard neutrinos



The known micro-world a quick (biased) selection..



Top quark is found

Standard (model) questions

See for instance [arXiv:0312096v1\[hep-ph\]](https://arxiv.org/abs/0312096)

- **What is the origin of mass? Why are symmetries of **forces** different from those of **particles**?**

Higgs, SuperSymmetry
New Strong forces..

- **Why 3 generations of **matter** with different quantum numbers?**

4th generation...?

(P. Natoli, *Cosmology with Planck*, LaThuile 2014)

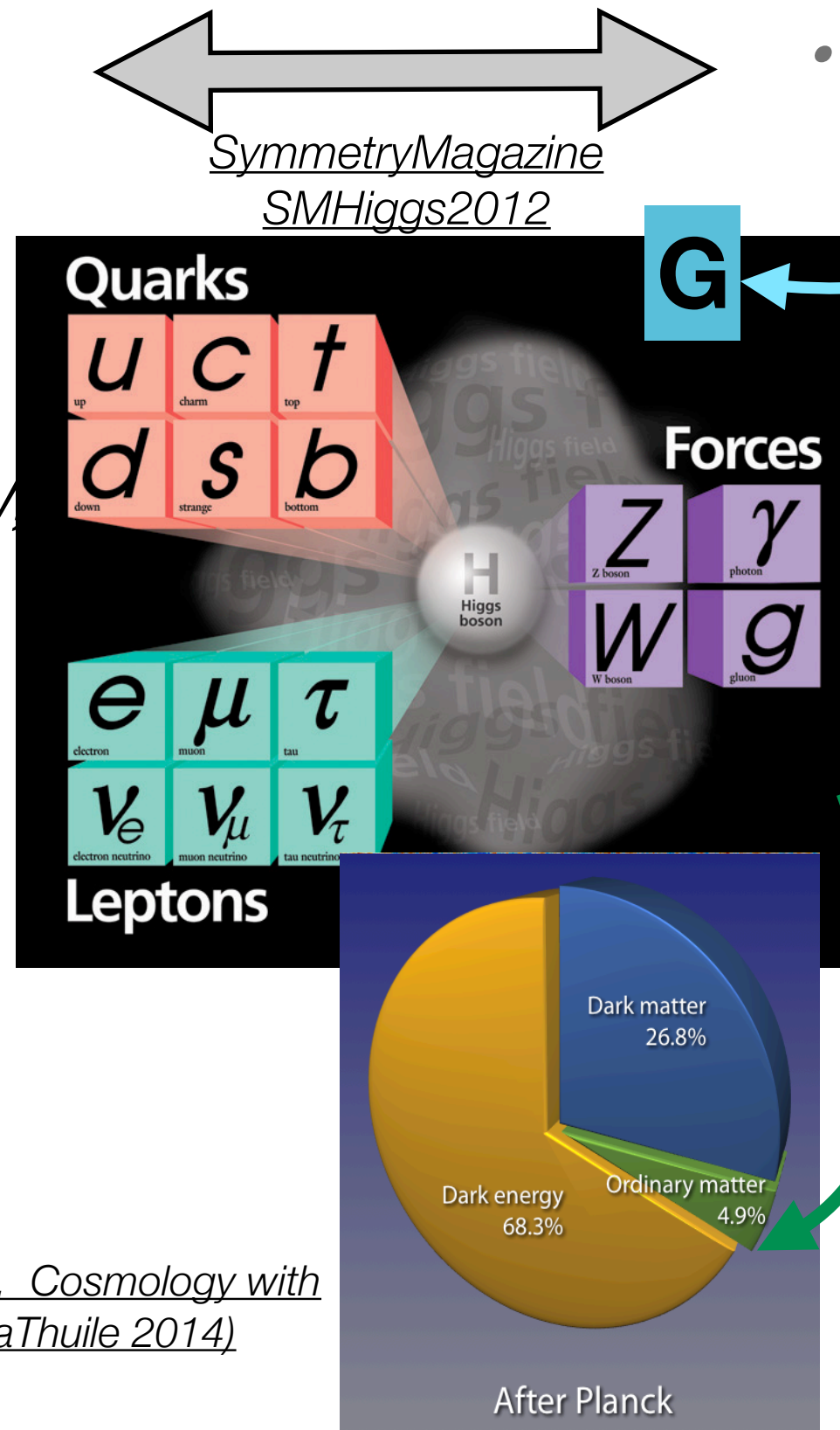
- **What accounts for the energy balance of the universe?**
Dark matter, Dark energy...

- **How is gravity incorporated?**

Quantum gravity
Extra dimensions...

- **Why different **forces** (ranges, strengths)?**

String theory..



"Special" reasons

top is most massive known constituent of matter

$$\phi = \frac{1}{\sqrt{2}} \begin{pmatrix} 0 \\ v+H \end{pmatrix}$$

The Standard Model

$$\mathcal{L} = -\frac{1}{4} F_{\mu\nu} F^{\mu\nu} + i \bar{\psi} \not{D} \psi + h.c. + |D_\mu \phi|^2 - V(\phi) + \bar{\psi}_i y_{ij} \psi_j \phi + h.c.$$

$$\mathcal{L}_W \sim g^2 (v+H)^2 W^+_\mu W^{-\mu}$$

$$M_W = \frac{1}{2} g_2 v = \left(\frac{\sqrt{2} g^2}{8 G_\mu} \right)^{1/2}$$

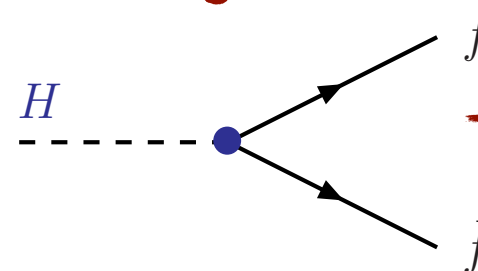
$$v = \frac{1}{(\sqrt{2} G_\mu)^{1/2}} \rightarrow v \sim 246 \text{ GeV}$$

$$\mathcal{L}_{\text{top}} = m_t t_L t_R / \sqrt{2} + y_t H t_L t_R / \sqrt{2}$$

mass term

interaction term

$$m_t = y_t v / \sqrt{2}$$

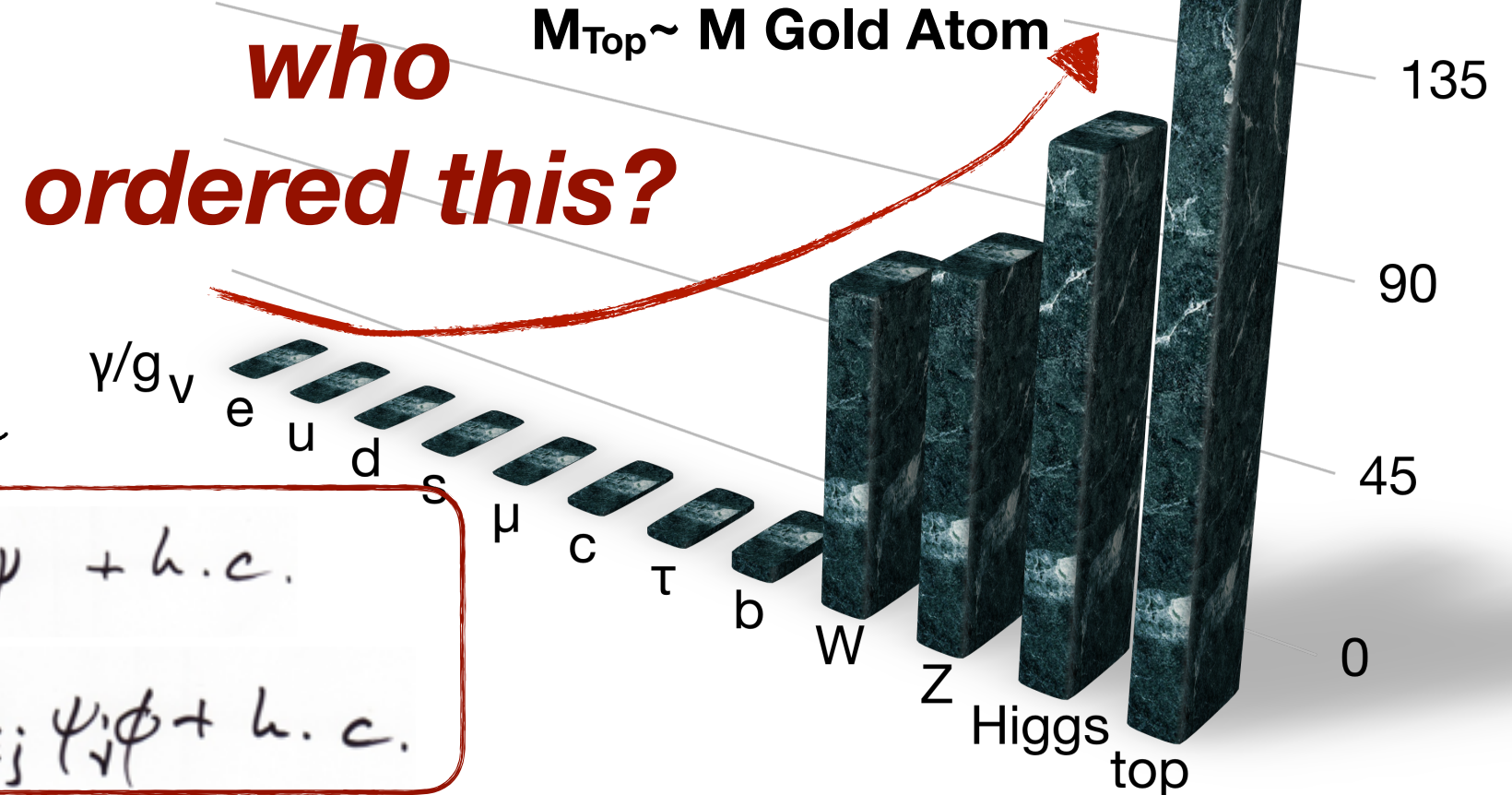


$$m_{t,\text{obs}} \sim 173 \text{ GeV}$$

largest (unmeasured) coupling y_t to Higgs boson

Is $y_t \sim 1$? Is it SM Higgs?
Measure y_t

Masses of known fundamental particles



"Special" reasons

top is most massive known constituent of matter

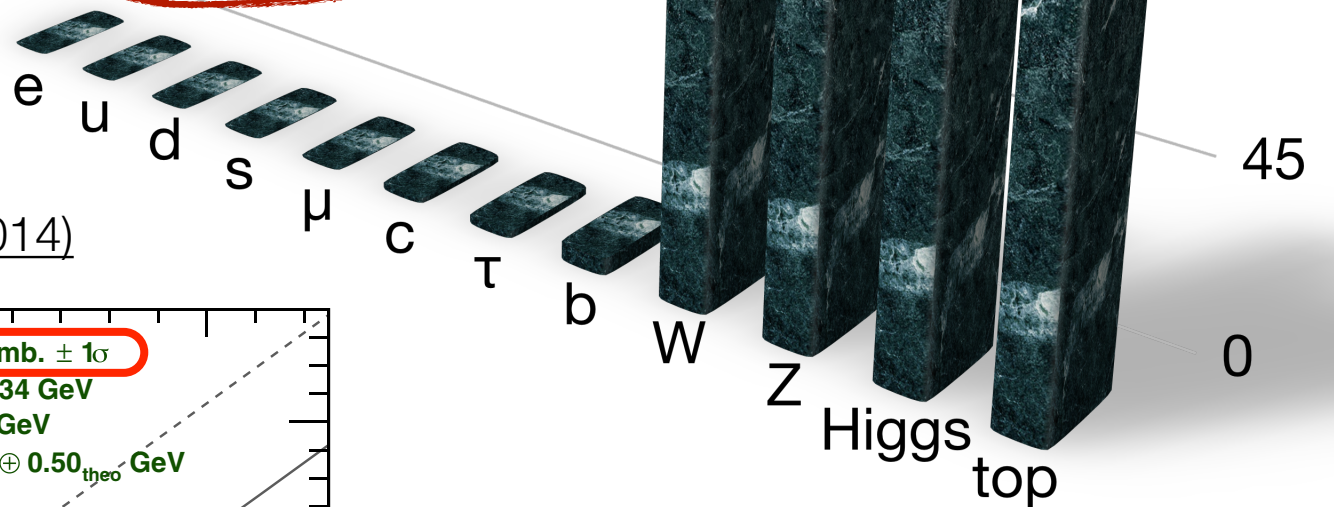
Why Top quark? (I)

Masses of known fundamental particles

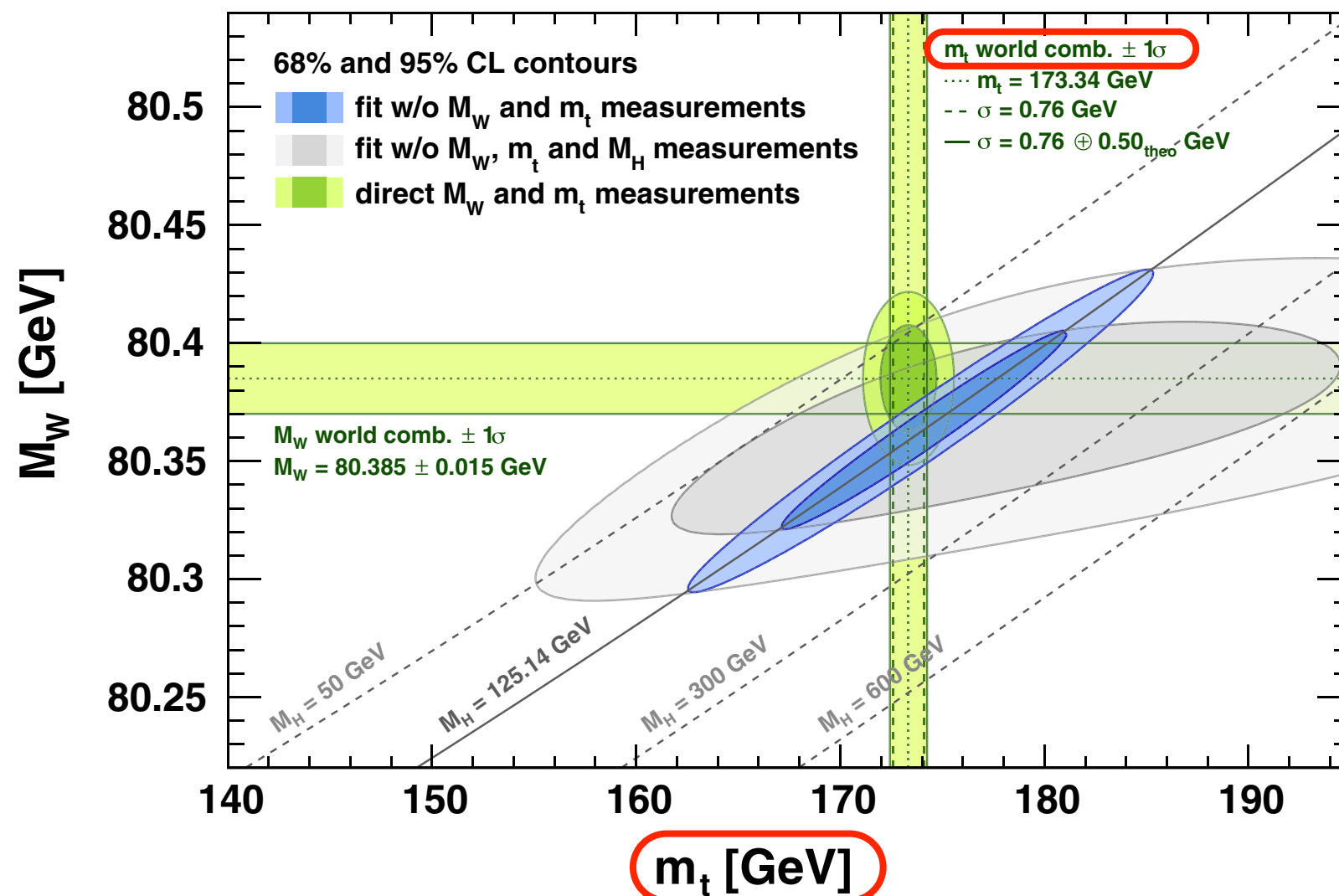
who ordered this?

$M_{\text{Top}} \sim M_{\text{Gold Atom}}$

γ/g_v



The GFitter Group, Eur. Phys. J. C 74:3046 (2014)



largest (unmeasured) coupling y_t to Higgs boson

*Is $y_t \sim 1$? Is it SM Higgs?
Measure y_t*

Why Top quark? (I)

“Standard” reasons

[see JHEP07\(2012\)022](#)

heavy = mass of quark m_q is so large that $\alpha_s(m_q^2)$ is in perturbative regime

top-quark

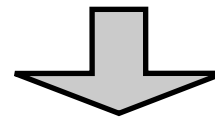
“lives” less than “time to make hadrons” less than “time to decorrelate spins”

$$\frac{1}{m_t} < \frac{1}{\Gamma_t} < \frac{1}{\Lambda} < \frac{m_t}{\Lambda^2}$$

Production time < Lifetime < Hadronization time < Spin decorrelation time

(see R.K.Ellis@TOP2012)

no top-antitop meson is observed , **spin information** is preserved in decay products



Study of production, decay, quantum numbers and couplings of bottom and top quark

***precision tests of standard model
strong and EWK interactions***

***standard candles to calibrate/
commission multi-purpose detector***



***information on proton
composition (gluons)***

***At the foundations of SM of the
measurement techniques***

Why Top quark? (I)

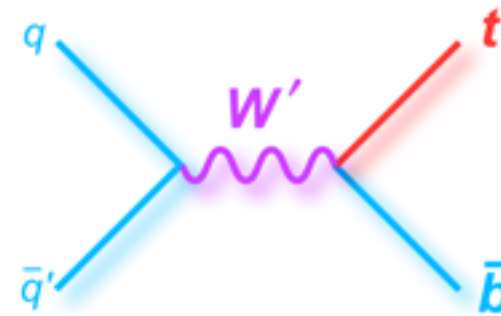
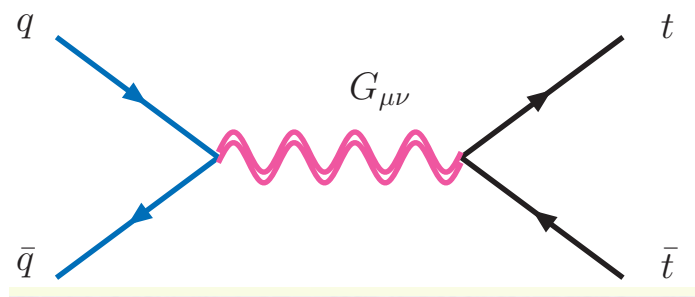
“Beyond” reason(s)

Open window on physics beyond SM

top is Ubiquitous connection to phys beyond SM

top quark mass is “special” : “**needs to be accommodated first**” i.e. many scenarios feature top quark’s **significant/dominant direct/indirect coupling to new physics**: from extra dimensions to new strong forces

(figure by
Geraldine
Servant)



(figure from D0
top diagrams)

Ubiquitous background to searches

top quarks mimic large number of scenarios with physics beyond SM
(non standard Higgs, SUSY, new vector-like quarks,...)

LHC : a *Top* producer i.e. providing the luminosity counter-rotating high intensity proton bunches colliding at center of mass energy (E_{cm} or \sqrt{s}) = 7,8, 13 TeV in 27 Km tunnel

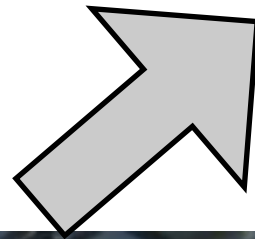
$$E_{cm}(\text{Tevatron}) = 1.96 \text{ TeV}$$

$$\mathcal{L} \propto \frac{N_1 N_2}{\sigma^2}$$

Key parameters:
 N_i = bunch intensity
 n_b = number of bunches
 σ = colliding beam size

Ad maiora..

2010



$E_{cm} = 7 \text{ TeV}$

- peak instantaneous luminosity: $2.1 \cdot 10^{32} \text{ cm}^{-2} \text{ s}^{-1}$
- delivered integrated luminosity $\sim 50 \text{ pb}^{-1}$

design: $E_{cm} = 14 \text{ TeV}$, lumi $10^{34} \text{ cm}^{-2} \text{ s}^{-1}$
 (~30 times Tevatron pp collider)

RUN2 (ongoing)

$E_{cm} = 13 \text{ TeV}$

(14 to be decided later)

$\int \mathcal{L} dt \sim 25 \text{ fb}^{-1}$

2016

2015 peak lumi: $5.22 \cdot 10^{33} \text{ cm}^{-2} \text{ s}^{-1}$

$\int \mathcal{L} dt \sim 4.3 \text{ fb}^{-1} / \text{exp}$

RUN1

2012 $E_{cm} = 8 \text{ TeV}$

peak lumi: $7.7 \cdot 10^{33} \text{ cm}^{-2} \text{ s}^{-1}$

$\int \mathcal{L} dt \sim 22 \text{ fb}^{-1} / \text{exp}$

2011 $E_{cm} = 7 \text{ TeV}$

peak lumi $2 \cdot 10^{33} \text{ cm}^{-2} \text{ s}^{-1}$

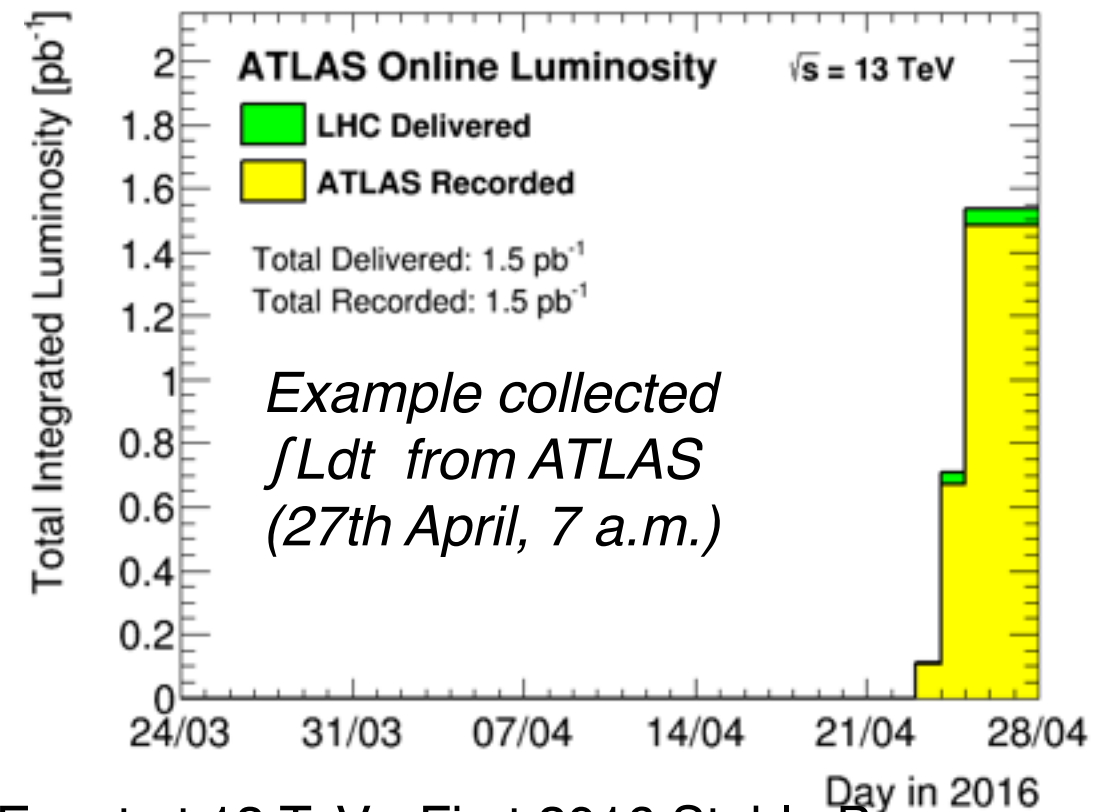
$\int \mathcal{L} dt \sim 5.6 \text{ fb}^{-1} / \text{exp}$

$$N_{\text{events}}(\Delta t) = \int \mathcal{L} dt * \text{cross section}$$

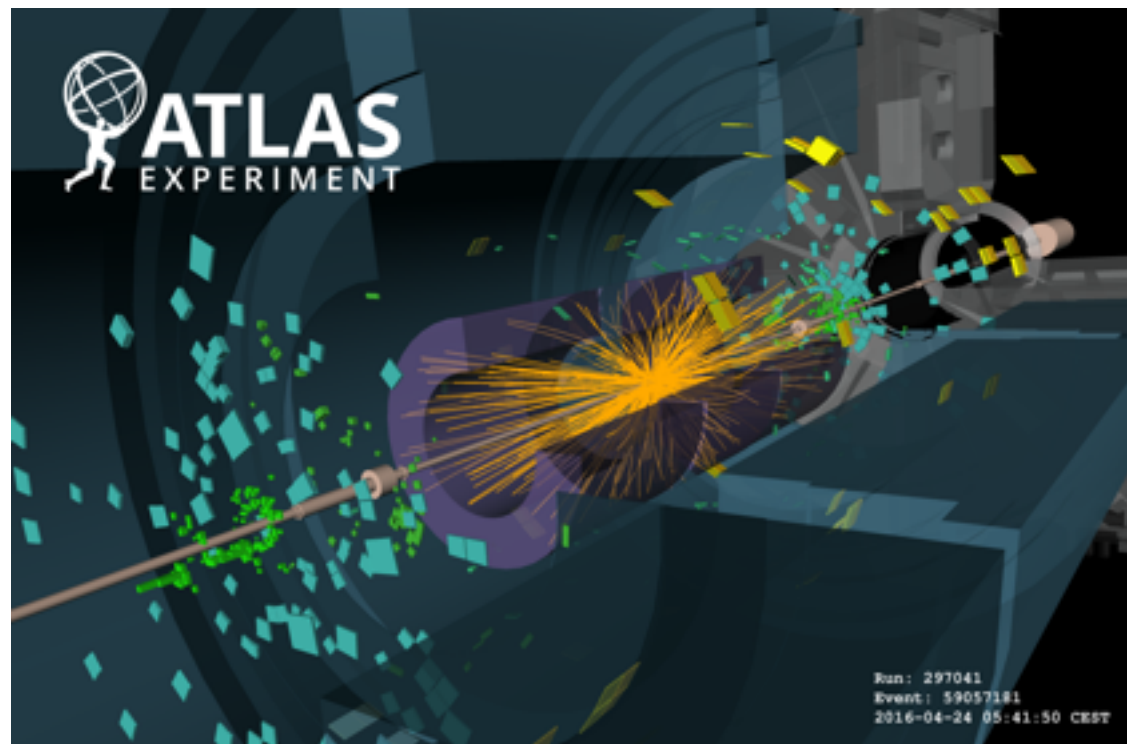
LHC status as of today: low intensity collisions @ $\sqrt{s} = 13$ TeV

- Stable beams delivered by LHC over the week-end: first low intensity collisions from Saturday 23rd April at $\sqrt{s} = 13$ TeV
- **Using 12 bunches** ($\sim 10^{11}$ p/bunch) per beam achieving $L_{int,max} \sim 3.6 \cdot 10^{31} \text{ cm}^{-2} \text{ s}^{-1}$
- From early May increase N bunches. **Goal: 2736 bunches** to achieve design lumi: $L_{int,max} 1 \cdot 10^{34} \text{ cm}^{-2} \text{ s}^{-1}$

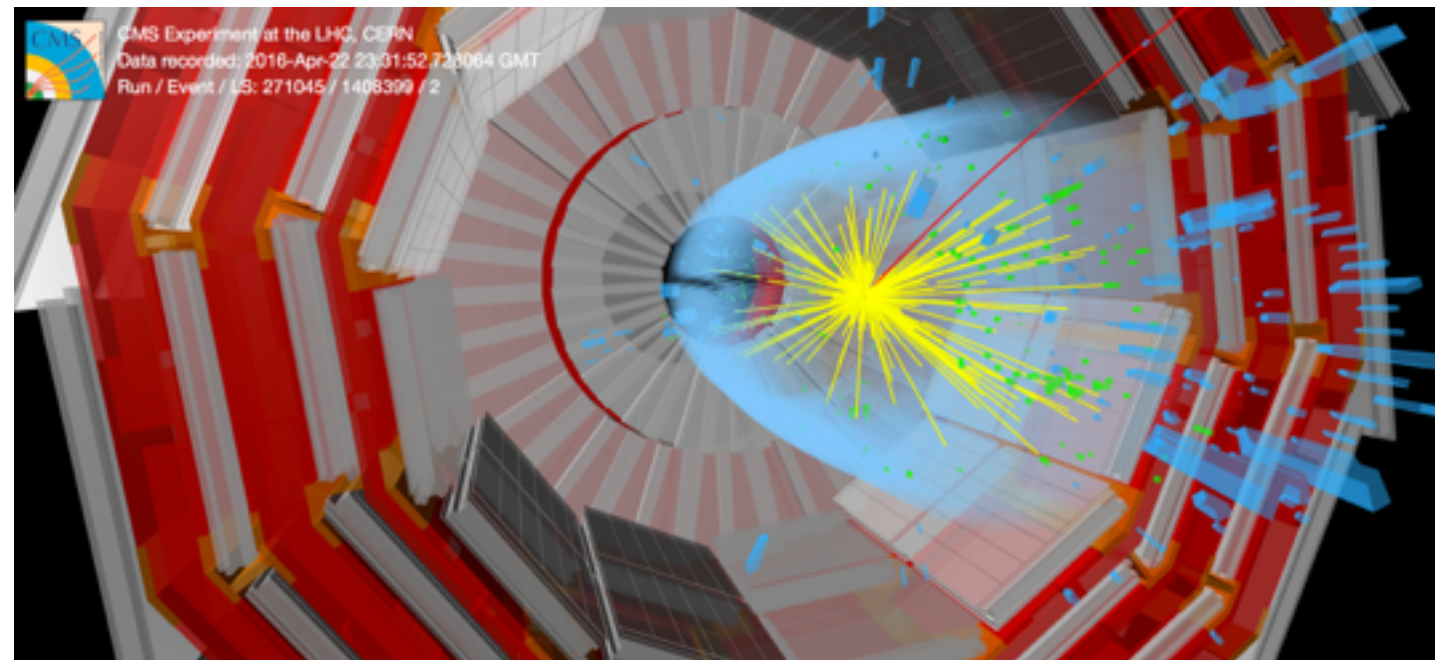
ATLAS Data Summary Public Page

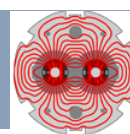


ATLAS Event at 13 TeV - First 2016 Stable Beams



CMS Event at 13 TeV - First 2016 Stable Beams





LHC in 2016

In 2015 operation was established **with 25 ns beams at 6.5 TeV**. Half of the design luminosity was reached with significant margin for improvements.

We expect to reach **design luminosity in 2016**, with the potential for more improvements in the years to come.

- *First beam injection around Easter.*

With at least 30 fb^{-1} expected per year, the target of **100 fb^{-1} for Run 2** is well within reach.

In 2016 LHC will operate at 6.5 TeV. Now that the 'quench cost' of operation at 7 TeV is better known, an energy increase can be considered in the coming years. To be agreed between machine and experiments.

(J Wenninger, Moriond EWK 2016)

(Luca Malgeri Exp Summary @ Moriond QCD)

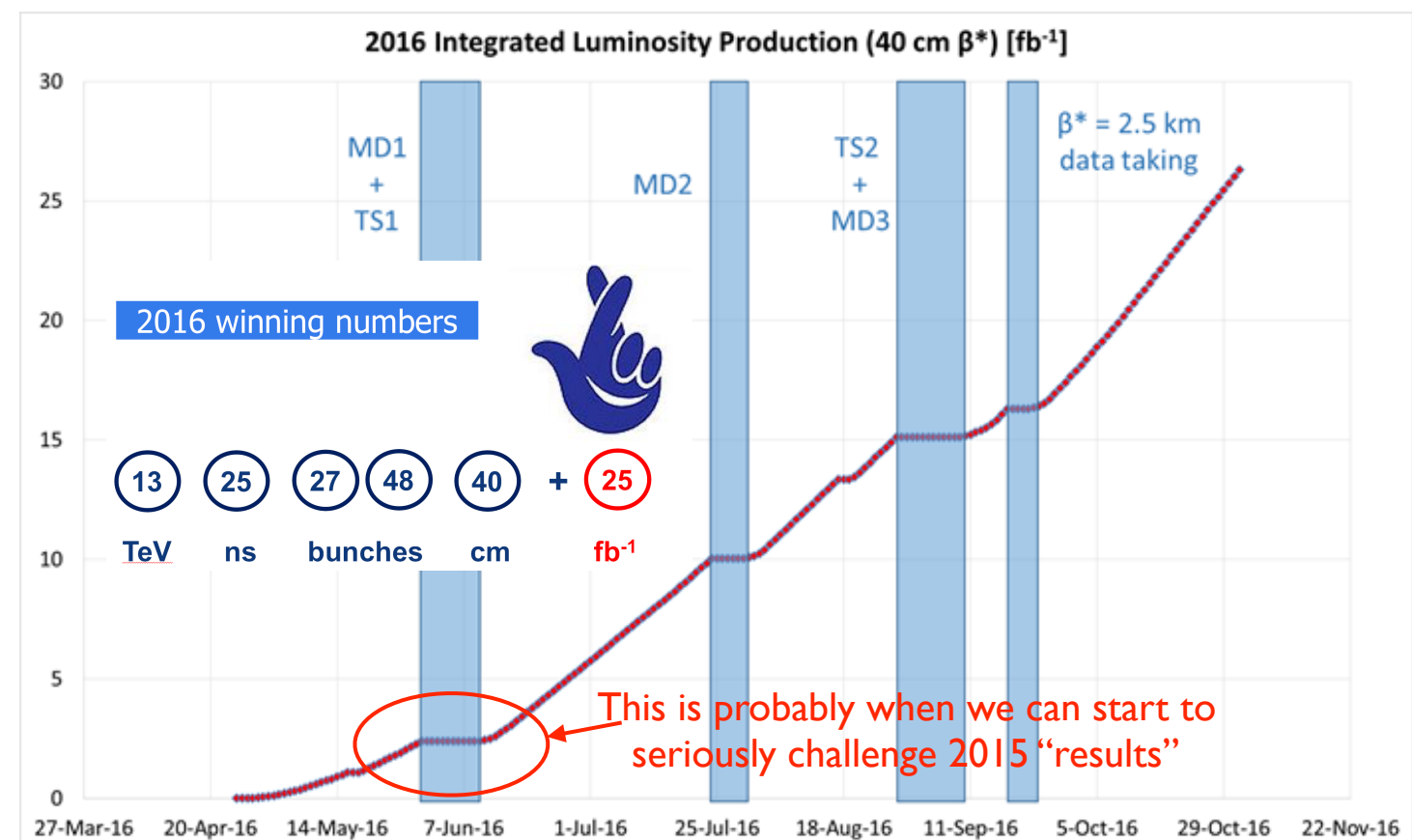
The 1232 main dipole magnets had to be trained for 6.5 TeV operation, 150 training quenches were required to bring the LHC to 6.5 + e TeV.

- *Dominated by the magnets of firm 3.*

With this new data, the **estimate for 7 TeV is ~300-400 additional quenches**.

**Thank you for
your attention!**

LHC prospects for 2016



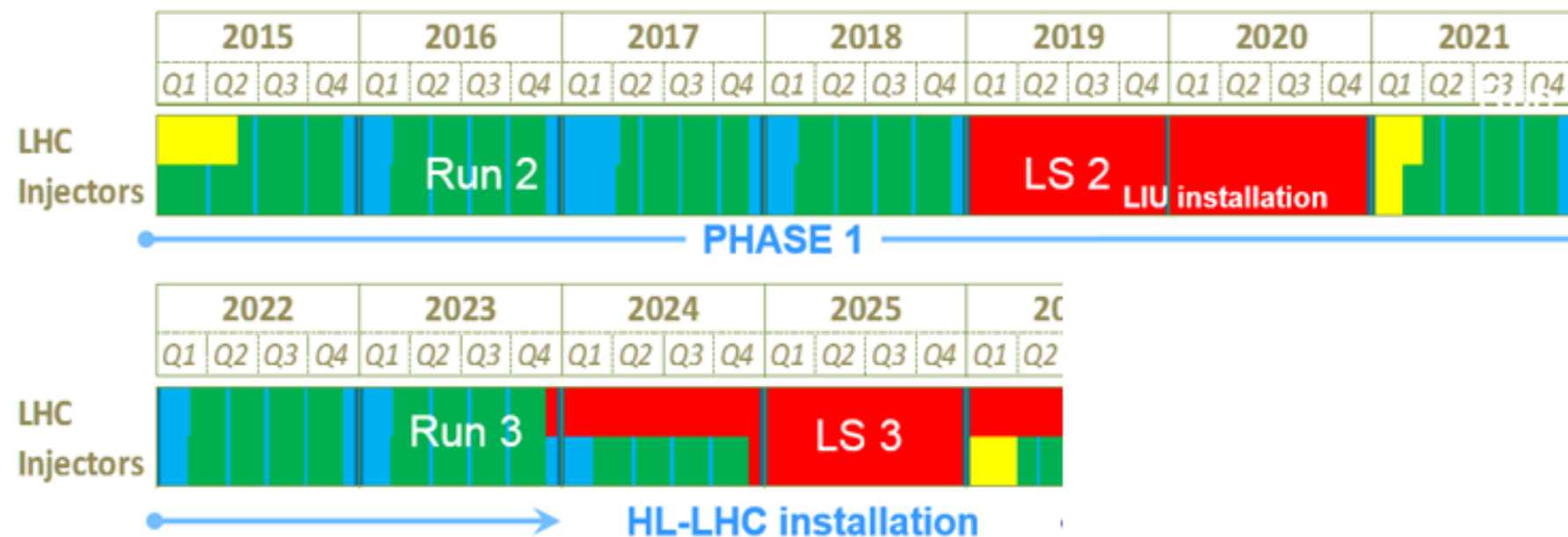
LHC goal for 2016 and for Run 2 and 3

Integrated luminosity goal:
2016 : $\nearrow 25 \text{ fb}^{-1}$ at 13 TeV c.m

Run2: $\nearrow 100 \text{ fb}^{-1}$

Prepare for (or go to) 14 TeV operation

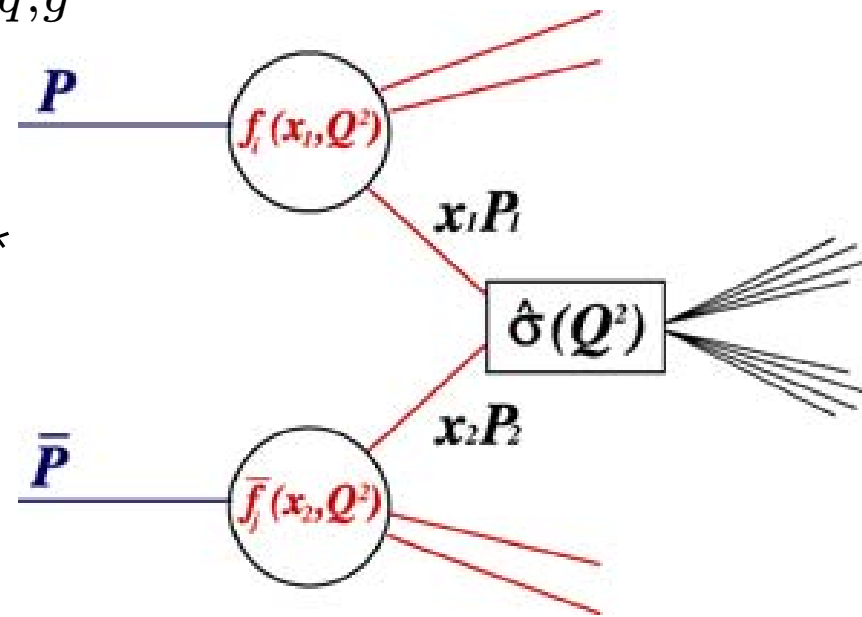
300 fb^{-1} before LS3



Top quark @ LHC: the cross section(I)

$$\sigma^{t\bar{t}}(\sqrt{s}, m_t) := \sum_{i,j=q,\bar{q},g} \int dx_i dx_j f_i(x_i, \mu^2) \bar{f}_j(x_j, \mu^2) \hat{\sigma}^{ij \rightarrow t\bar{t}}(\rho, m_t^2, x_i, x_j, \alpha_s(\mu^2), \mu^2)$$

$N_{\text{events}}(\Delta t) = \textcolor{red}{\int L dt} \times$
cross section



	LHC(14)	LHC(7)	Tev(1.9)
gg	~90%	~85%	~10%
qq	~10%	~15%	~90%

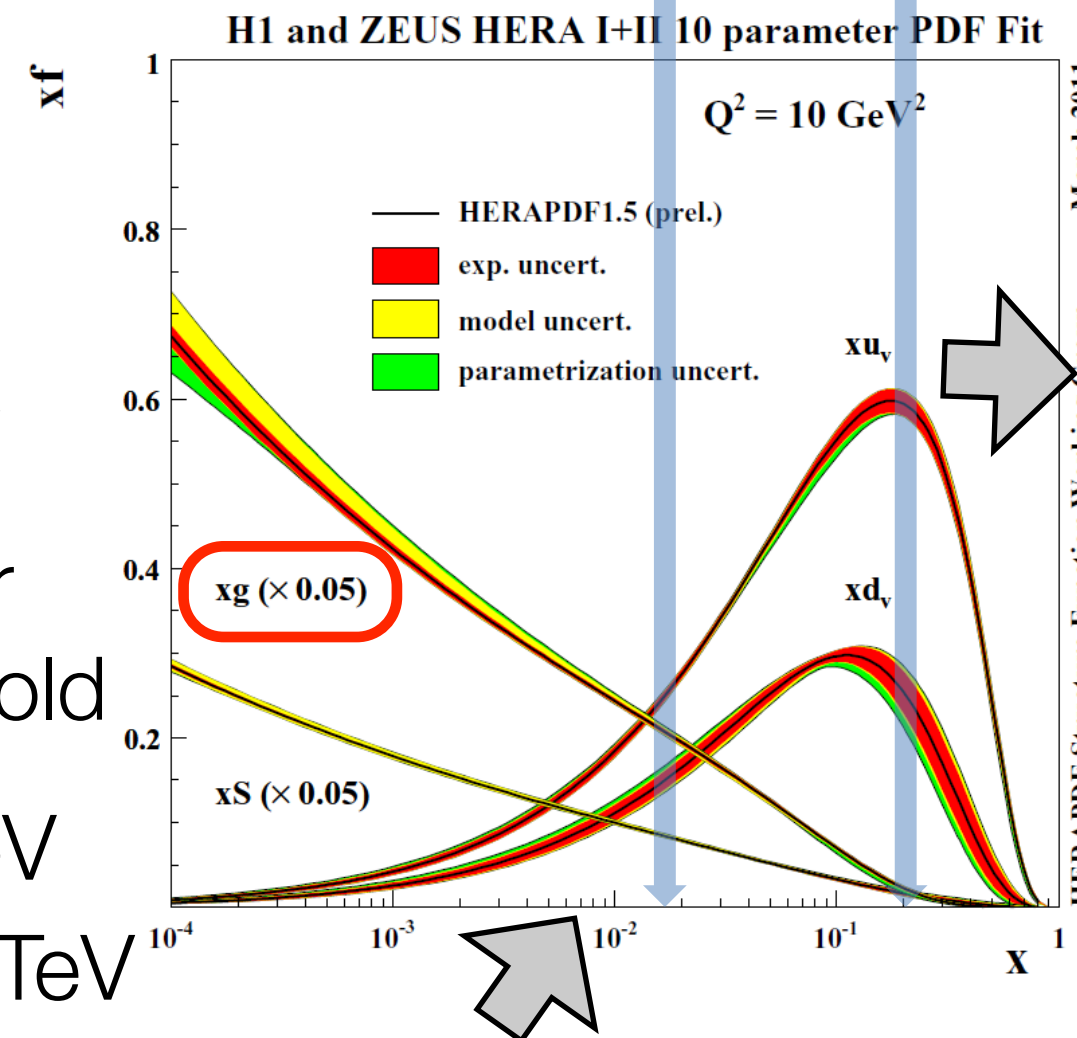
To produce $t\bar{t}$

~massless partons

$$\hat{s} \geq 4m_t^2 \Rightarrow x_i x_j = \hat{s}/s \geq 4m_t^2/s.$$

$f_i(x)$ falls with larger $x \Rightarrow$ typical $x_i x_j$ near threshold

$$\Rightarrow x \approx \frac{2m_t}{\sqrt{s}} = \begin{aligned} &0.19 \text{ @ Tevatron } \sqrt{s}=1.8 \text{ TeV} \\ &0.18 \text{ @ Tevatron } \sqrt{s}=1.96 \text{ TeV} \\ &(0.048, 0.043, 0.026) \text{ @ LHC with } \sqrt{s}=(7, 8, 13) \text{ TeV} \end{aligned}$$



Top quark @ LHC: production (I)

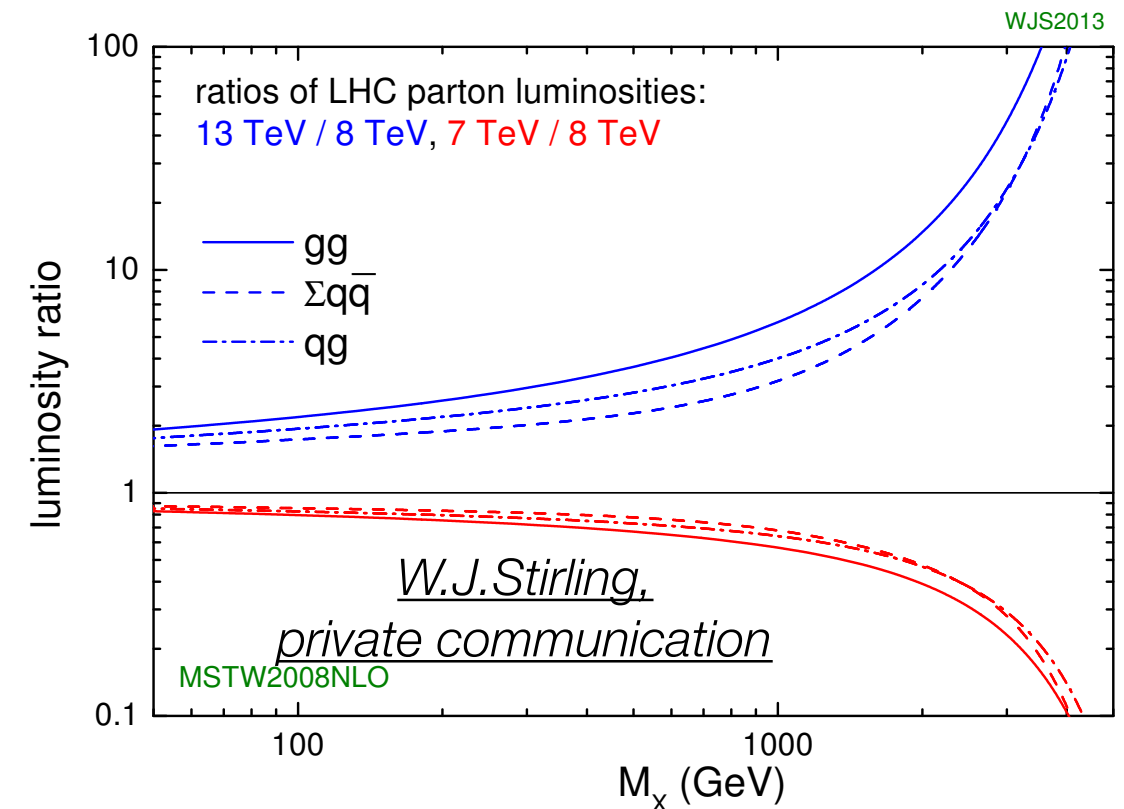
(Campbell et al, Rept.Prog.Phys.70:892007)

$$\sigma = \sum_{i,j} \int_0^1 dx_1 dx_2 f_i(x_1, \mu) f_j(x_2, \mu) \hat{\sigma}_{ij} = \sum_{i,j} \int \left(\frac{d\hat{s}}{\hat{s}} dy \right) \left(\frac{dL_{ij}}{d\hat{s} dy} \right) (\hat{s} \hat{\sigma}_{ij}) \sim \sum_{i,j} \frac{\Delta\hat{s}}{\hat{s}} \left(\frac{dL_{ij}}{d\hat{s}} \right) (\hat{s} \hat{\sigma}_{ij})$$

$$\frac{dL_{ij}}{d\hat{s} dy} = \frac{1}{s} \frac{1}{1 + \delta_{ij}} [f_i(x_1, \mu) f_j(x_2, \mu) + (1 \leftrightarrow 2)]$$

- Different **x-range** and **center of mass** dependence incorporated in **Parton luminosities** →

- ▶ **gg → X** dominated processes grow more than **qq → X** ones
- ▶ **larger gains at high multi-TeV masses** ~up to O(100)



$R^{th,nnpdf} = 14\text{TeV to } 8\text{ TeV xsec ratios}$

Cross Section	$R^{th,nnpdf}$	$\delta_{PDF}(\%)$	$\delta_{\alpha_s}(\%)$	$\delta_{scales}(\%)$
$t\bar{t}/Z$	2.12	± 1.3	$-0.8 - 0.8$	$-0.4 - 1.1$
$t\bar{t}$	3.90	± 1.1	$-0.5 - 0.7$	$-0.4 - 1.1$
Z	1.84	± 0.7	$-0.1 - 0.3$	$-0.3 - 0.2$
W^+	1.75	± 0.7	$-0.0 - 0.3$	$-0.3 - 0.2$
W^-	1.86	± 0.6	$-0.1 - 0.3$	$-0.3 - 0.1$
W^+/W^-	0.94	± 0.3	$-0.0 - 0.0$	$-0.0 - 0.0$
W/Z	0.98	± 0.1	$-0.1 - 0.0$	$-0.0 - 0.0$
ggH	2.56	± 0.6	$-0.1 - 0.1$	$-0.9 - 1.0$
$t\bar{t}(M_{t\bar{t}} \geq 1\text{ TeV})$	8.18	± 2.5	$-1.3 - 1.1$	$-1.6 - 2.1$
$t\bar{t}(M_{t\bar{t}} \geq 2\text{ TeV})$	24.9	± 6.3	$-0.0 - 0.3$	$-3.0 - 1.1$
$\sigma_{jet}(p_T \geq 1\text{ TeV})$	15.1	± 2.1	$-0.4 - 0.0$	$-1.9 - 2.4$
$\sigma_{jet}(p_T \geq 2\text{ TeV})$	182	± 7.7	$-0.3 - 0.2$	$-5.7 - 4.0$

*Magano, Rojo,
JHEP{1208},2012:10*

- **Cross sections in “tails” increase differently** from (more rapidly than the inclusive value

thanks to *K. Suruliz, TOP2013*

Top quark @ LHC: production (II)

pp collisions

probing lower x than Tevatron →
(abundant) gluon fusion dominated

	Tevatron	LHC(7)	LHC(14)
gg	~10%	~ 85%	~90%
qq	~90%	~ 15%	~10%

$$m_{top} = 172.5$$

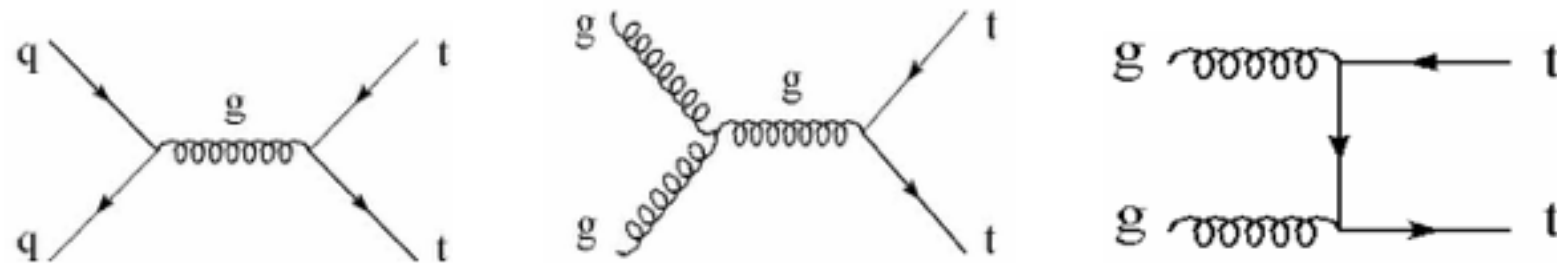
qq annihilation

LO representative

gluon fusion

At Tevatron

**top pairs:
strong**



$$\sigma_{t\bar{t}} \sim 7 \text{ pb}$$

$$\sigma_t \sim 3.5 \text{ pb}$$

Czakon, Mitov, Fiedler 2013

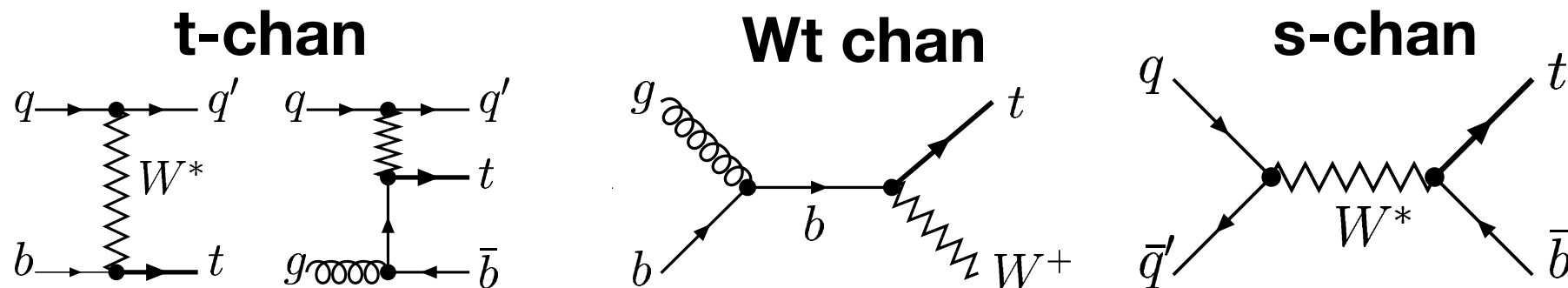
NNLO+NNLL accuracy

$$\delta\sigma_{tt}/\sigma_{tt} \sim 4\%$$

$\sigma_{7\text{TeV}} \text{ (pb)}$	$172^{+4.4}_{-5.8}{}^{+4.7}_{-4.8}$
$\sigma_{8\text{TeV}} \text{ (pb)}$	$245^{+6.2}_{-8.4}{}^{+6.2}_{-6.4}$
$\sigma_{13\text{TeV}} \text{ (pb)}$	$832^{+20}_{-29}{}^{+35}_{-35}$

$$R(13/8) \sim 3.3$$

**single top:
electroweak**



	t-chan	Wt chan	s-chan
$\sigma_{7\text{TeV}} \text{ (pb)}$	64.6 ± 2.4	15.7 ± 1.1	4.6 ± 0.2
$\sigma_{8\text{TeV}} \text{ (pb)}$	87.8 ± 3.4	22.4 ± 1.5	5.6 ± 0.2
$\sigma_{13\text{TeV}} \text{ (pb)}$	~ 213	~ 71.7	~ 10.9

Kidonakis
2010, 2011

approx NNLO

$$\delta\sigma_t/\sigma_t \sim 2 \text{ to } 7\%$$

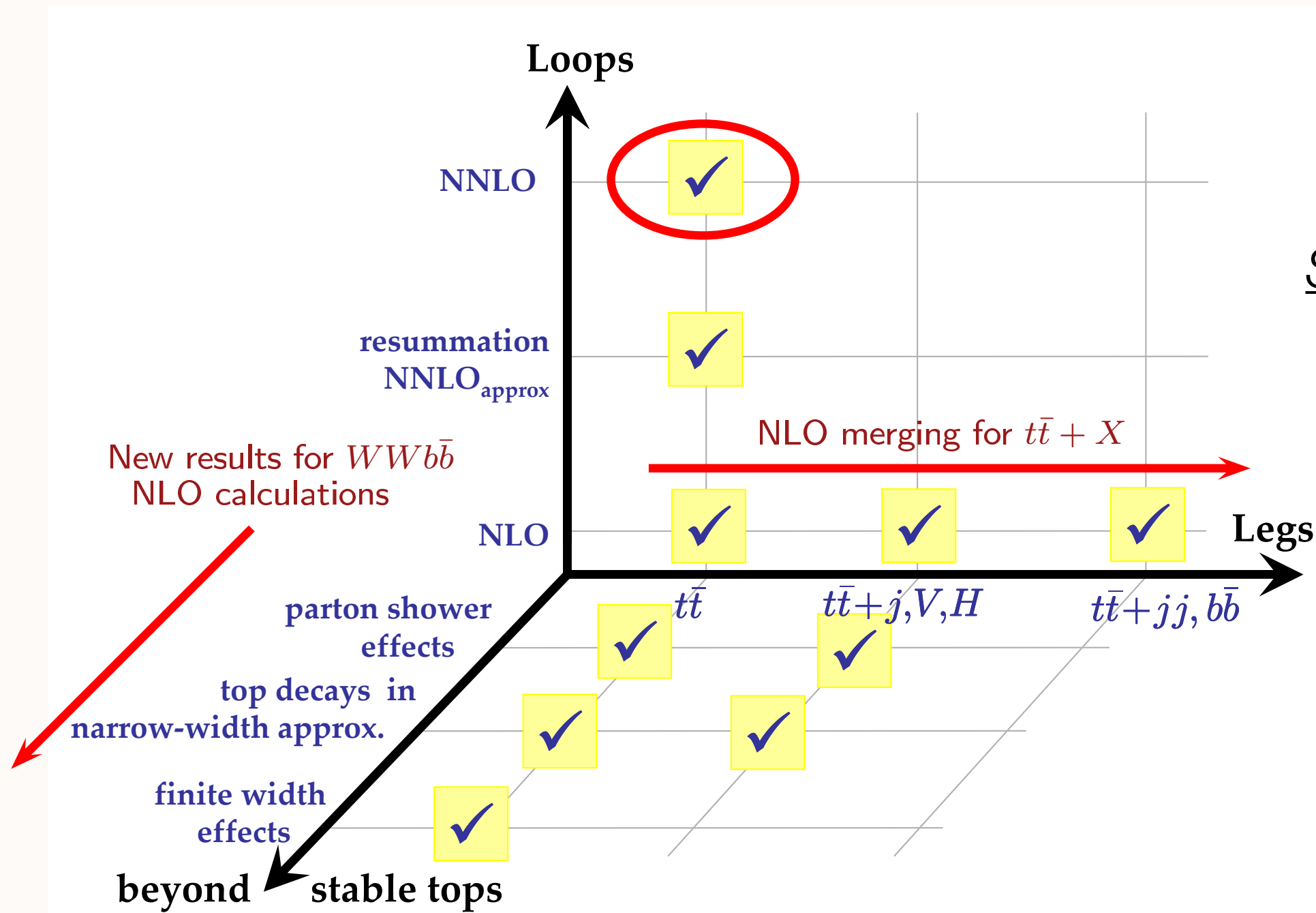
From present to future directions in top phys. predictions

Overview of talk

[COURTESY OF MARKUS SCHULZE]

→ *Directions in theory space – help “locate” theoretical developments.*

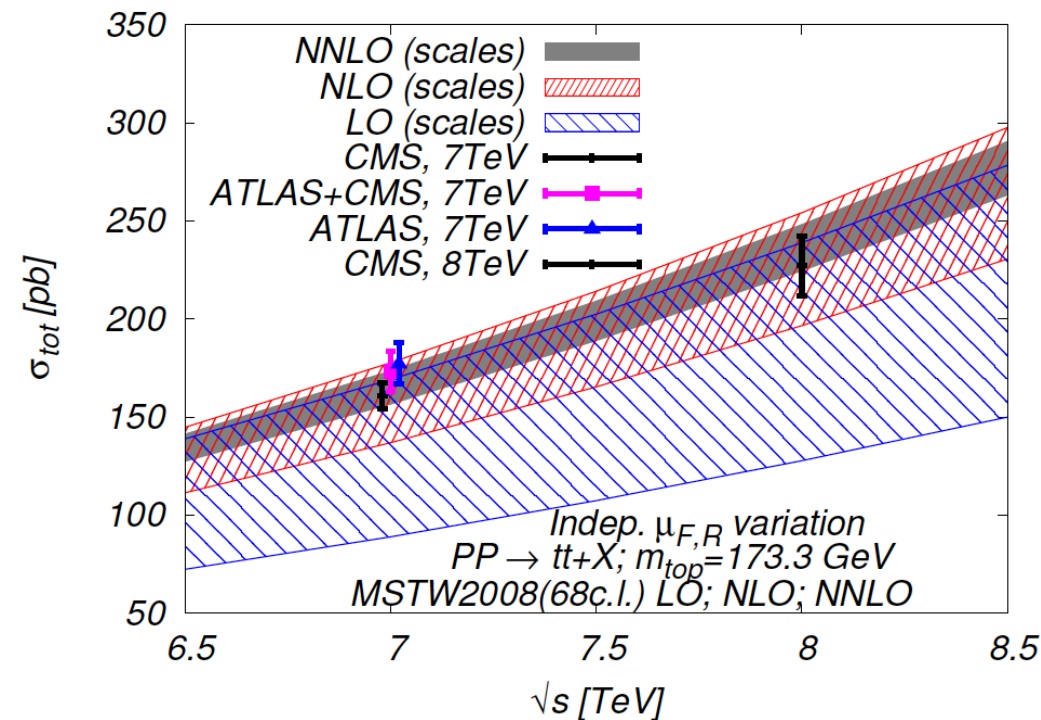
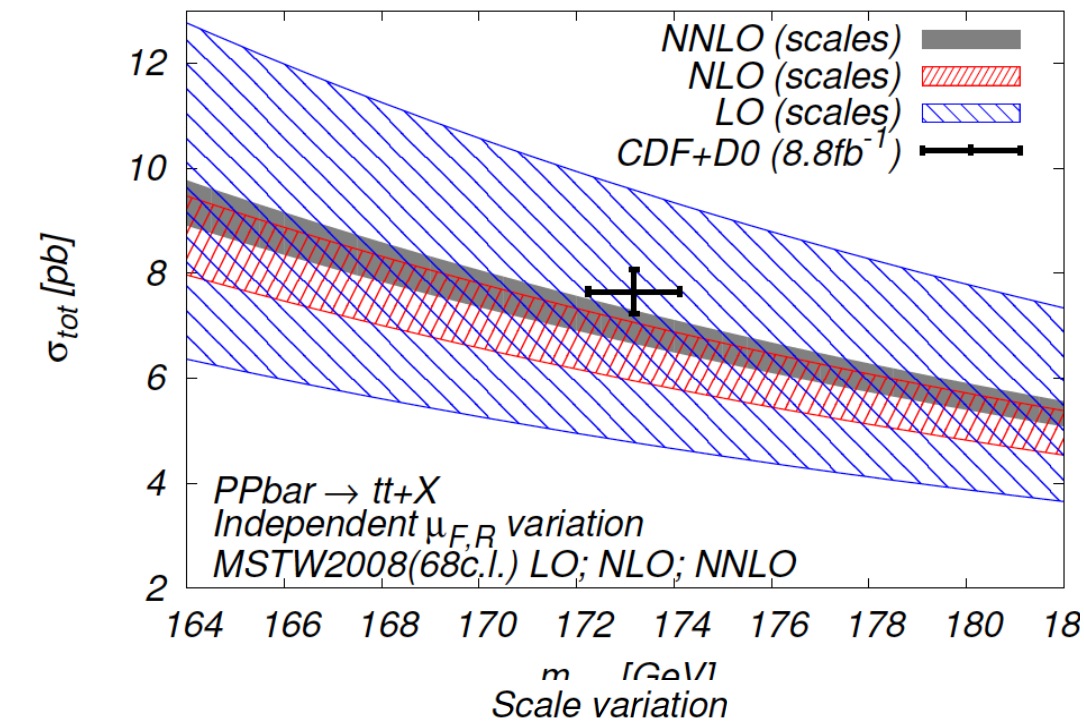
*J Winter,
Top Diffxsec
Workshop
September 2014*



Jan Winter

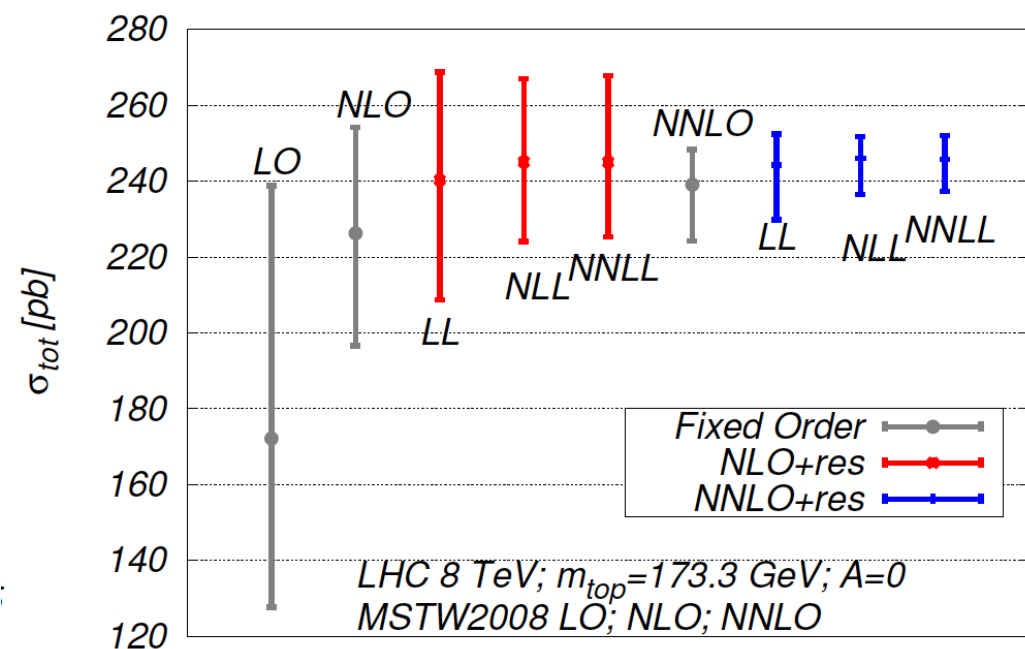
Cannes, September 27, 2014 – p.3

- NNLO QCD calculations are available for $t\bar{t}$ production vs \sqrt{s}



Czakon @ TOP2014

Inclusive $t\bar{t}$
cross section



Scales $\sim 3\%$
pdf (at 68%cl) $\sim 2-3\%$
 α_s (parametric) $\sim 1.5\%$
 m_{top} (parametric) $\sim 3\%$

Soft Gluons resummation
makes a difference

5% \rightarrow 3% CONSIDER ANY THEORY UPDATE FROM Top2015 and Moriond ?

Differential $t\bar{t}$ cross section is now also available!! (see further)

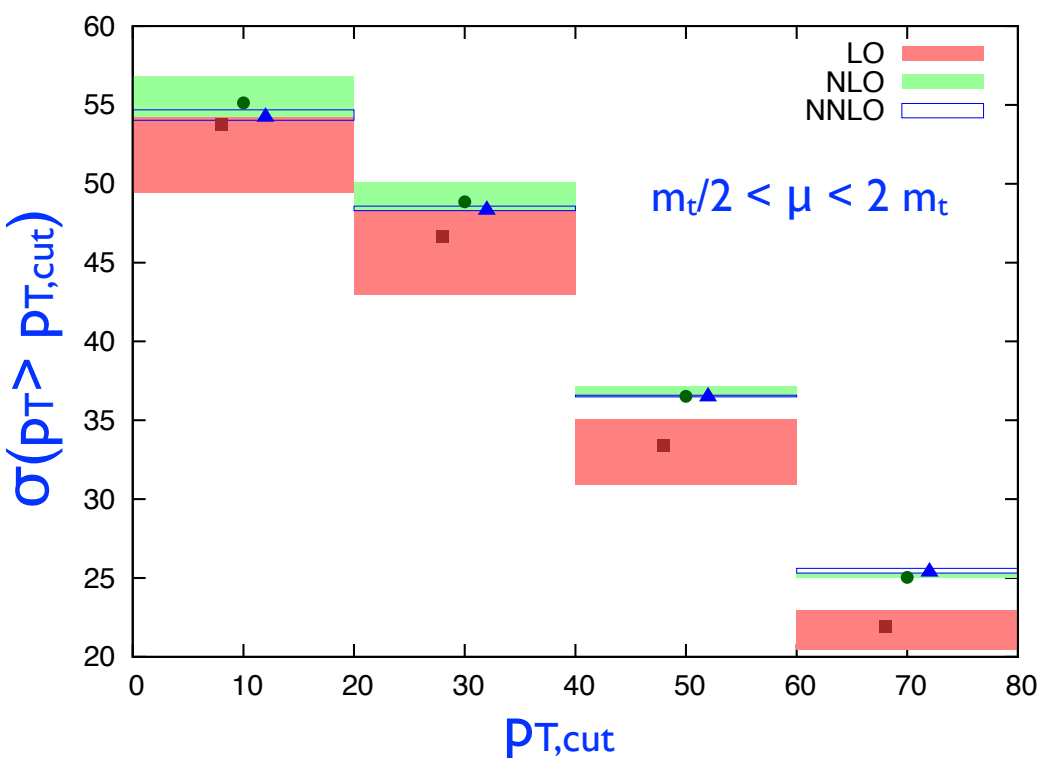
The NNLO revolution: single top t-channel @ $\sqrt{s} = 8$ TeV

F. Caola @ Moriond
QCD2015

t-channel single-top@NNLO: LHC8 results

$$\sigma_{\text{LO}} = 53.77 + 3.03 - 4.33 \text{ pb}$$

$$\sigma_{\text{NLO}} = 55.13 + 1.63 - 0.90 \text{ pb}$$



PERCENT-LEVEL CONTROL ON
THE CROSS-SECTION ACHIEVED

$$\sigma_{\text{NNLO}} = 54.2^{+0.5}_{-0.2} \text{ pb}$$

- Contrary to NLO, results stable in the full spectrum
- Improved scale dependence
- K-factor small but not constant
- Similar results for antitop
- t/tbar ratio extremely stable -> PDF test?

[Brucherseifer, FC, Melnikov (2014)]

Future: compare with fiducial cross section at particle level (reduce extrapolations).

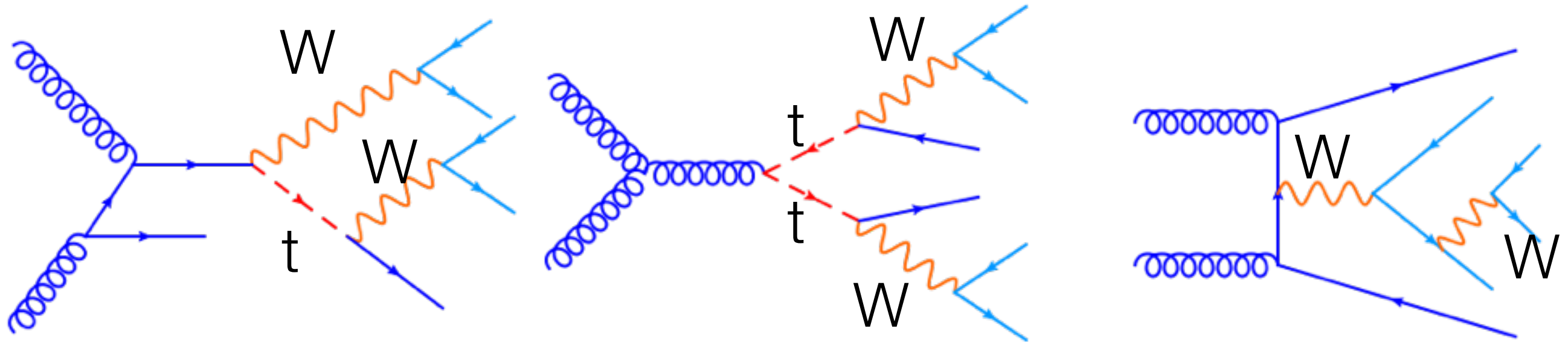
Need to:

- combine production with available NNLO decay chains
- combine with parton shower & hadronization

Towards realistic final-states NLO for $t\bar{t}$ & single top quark

- At NLO $t\bar{t}$, Wt and WW share the same final state so one needs $WWbb$ @NLO

(graphs by F. Caola, CERN)



it is there now!!

- results provided recently by two groups:

[FREDERIX, ARXIV:1311.4893] [CASCIOLI, KALLWEIT, MAIERHÖFER, POZZORINI, ARXIV:1312.0546]

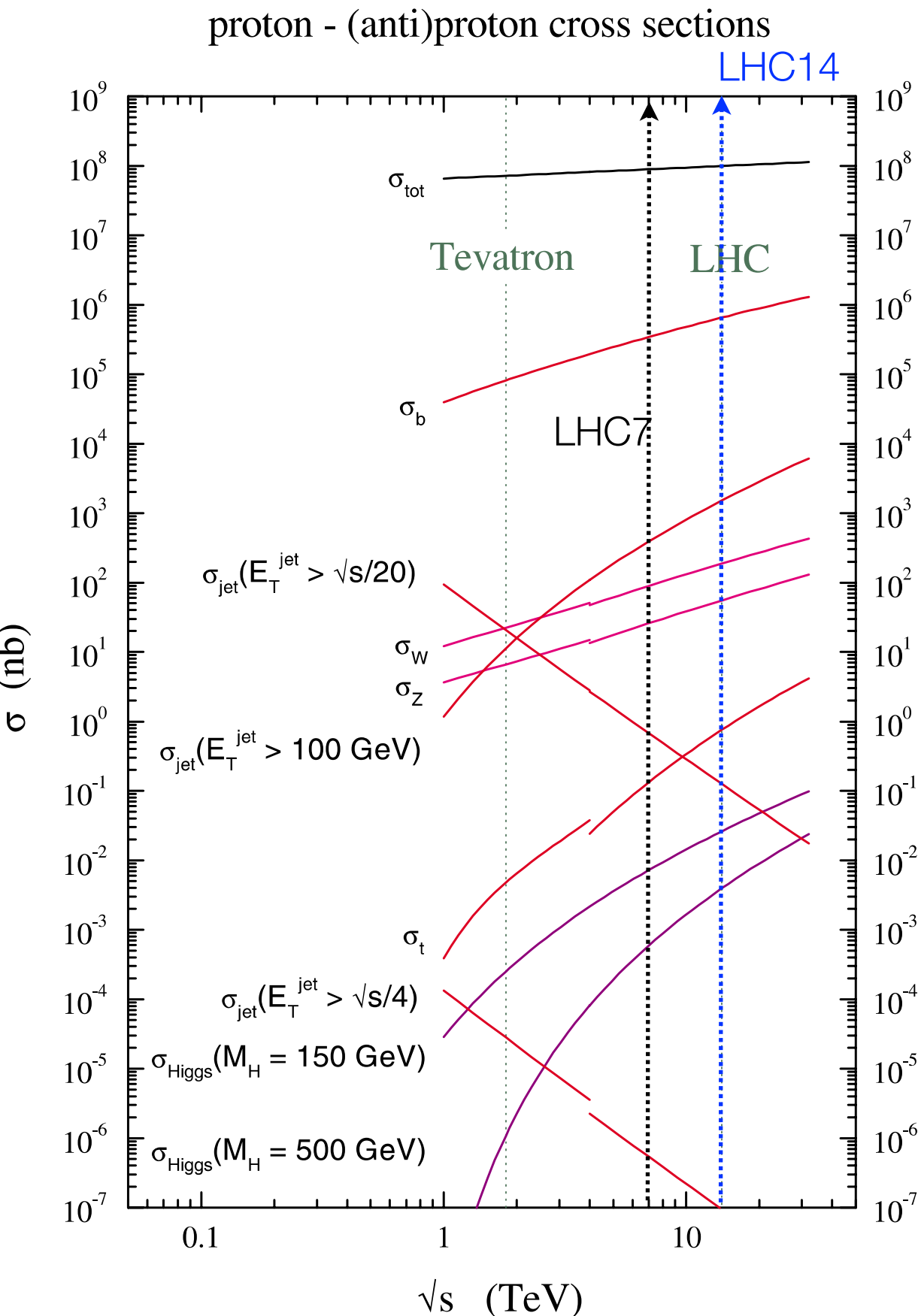
Future @ NLO

$WWbb$ final state with doubly resonant ($t\bar{t}$), singly resonant (Wt) and non resonant interfering contributions

+
single top t - & s-channel

Future: to be matched to Parton Shower & Hadronization

Top @ LHC: in the context



t and $t\bar{t}$ cross section

$\sqrt{s}(\text{TeV})$	$\sigma_{t\bar{t}}(\text{pb})$	$\sigma_t(\text{pb})$
1.96(pp)	~ 7	
7(pp)	~ 172	~ 85
8(pp)	~ 245	~ 115
13(pp)	~ 830	~ 296
14(pp)	~ 900	~ 338

$t\bar{t}(t)$ Rate at $L = 10^{33} \text{ cm}^{-2} \text{ s}^{-1}$

0.17 (0.08)Hz

0.24 (0.12)Hz

0.83 (0.30)Hz

0.90 (0.33)Hz

$\sim 8.3\text{M}$ ($\sim 3\text{M}$) $t\bar{t}$ (single top) events with 10 fb^{-1} with $\sqrt{s} = 13 \text{ TeV}$ LHC

$\sim 5.4\text{M}$ ($\sim 0.96 \text{ M}$) $t\bar{t}$ events produced by LHC in 2012 (2011)

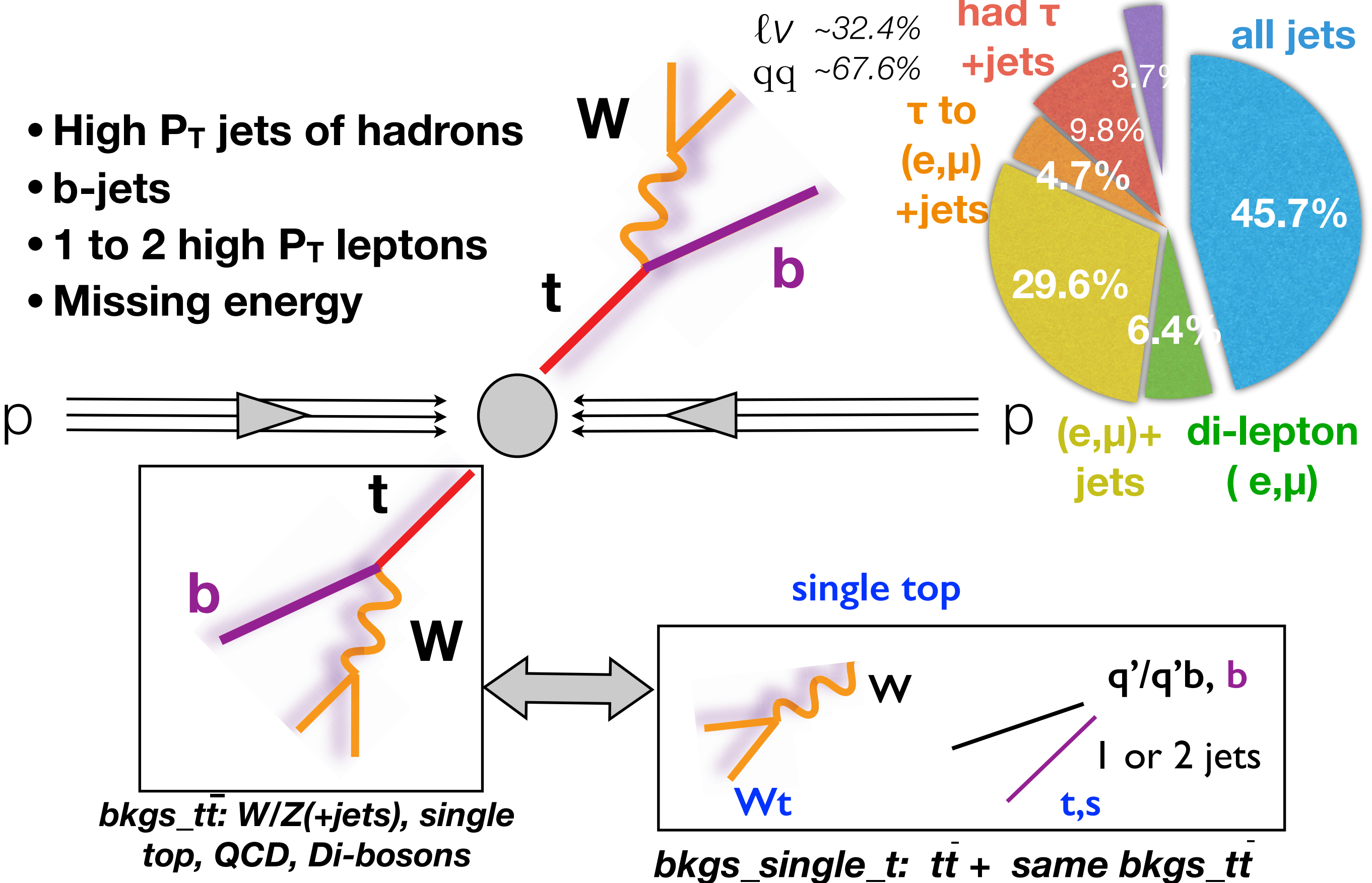
$\sim 2.5\text{M}$ (0.47 M) single top events produced by LHC in 2011 (2012)

LHC is a TOP FACTORY

Tevatron (lower energy collider): $\int L dt = 9.4 \text{ fb}^{-1}$ on tape, expect $\sim 6.6 \cdot 10^4$ $t\bar{t}$ events

Final state signatures

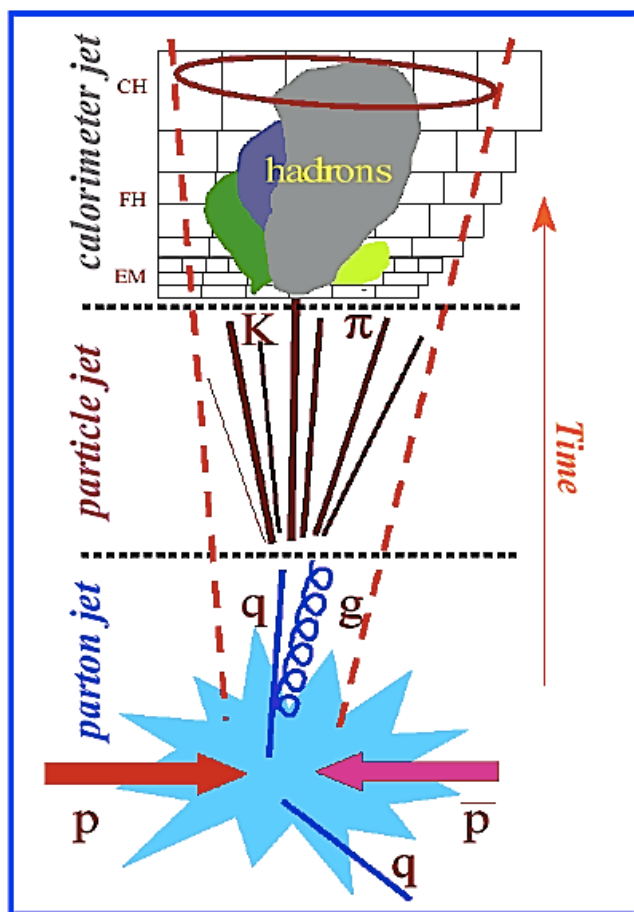
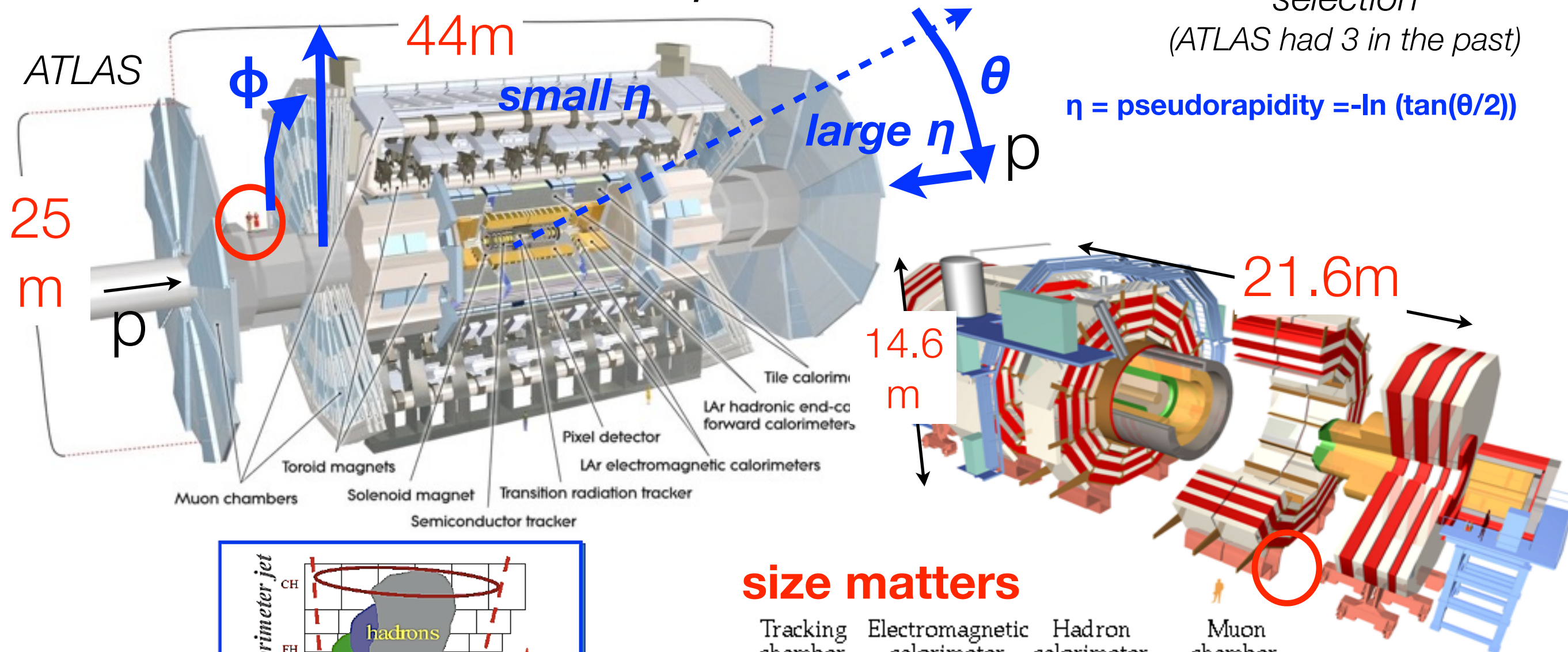
- High P_T jets of hadrons
- b-jets
- 1 to 2 high P_T leptons
- Missing energy



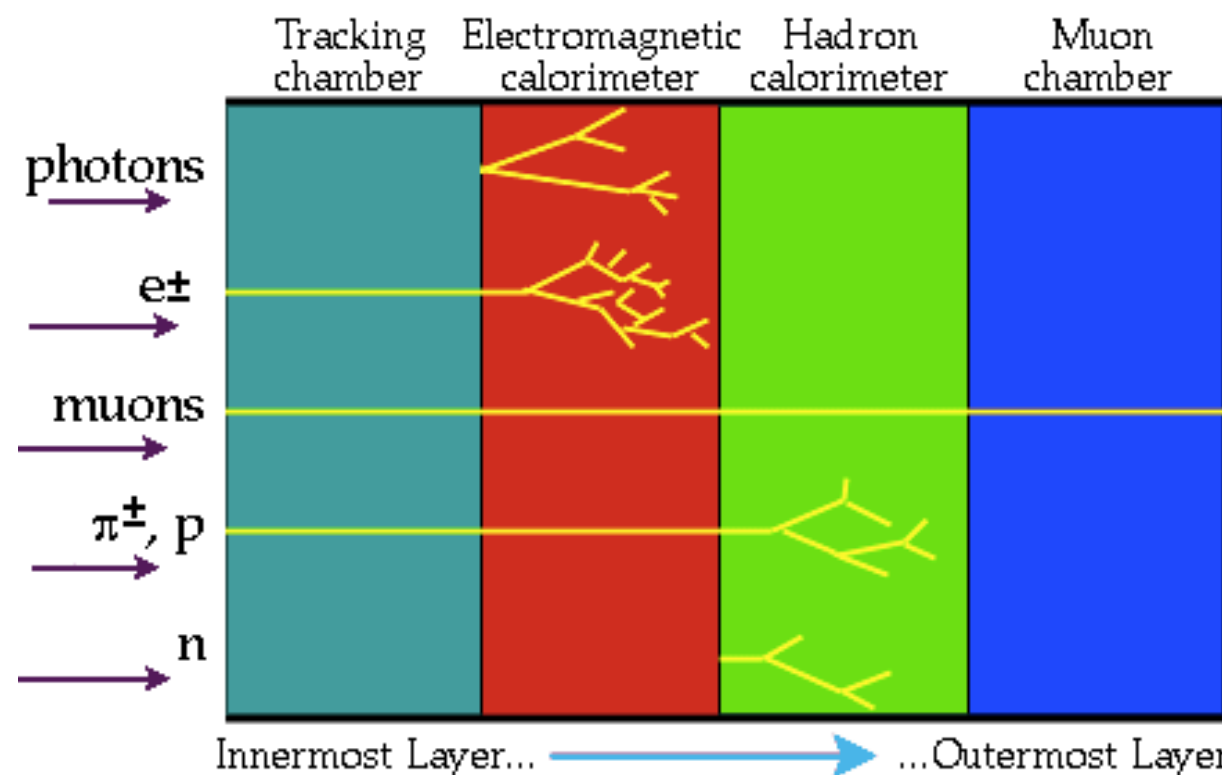
ATLAS & CMS: Top observers

2 trigger levels for event selection
(ATLAS had 3 in the past)

$$\eta = \text{pseudorapidity} = -\ln(\tan(\theta/2))$$



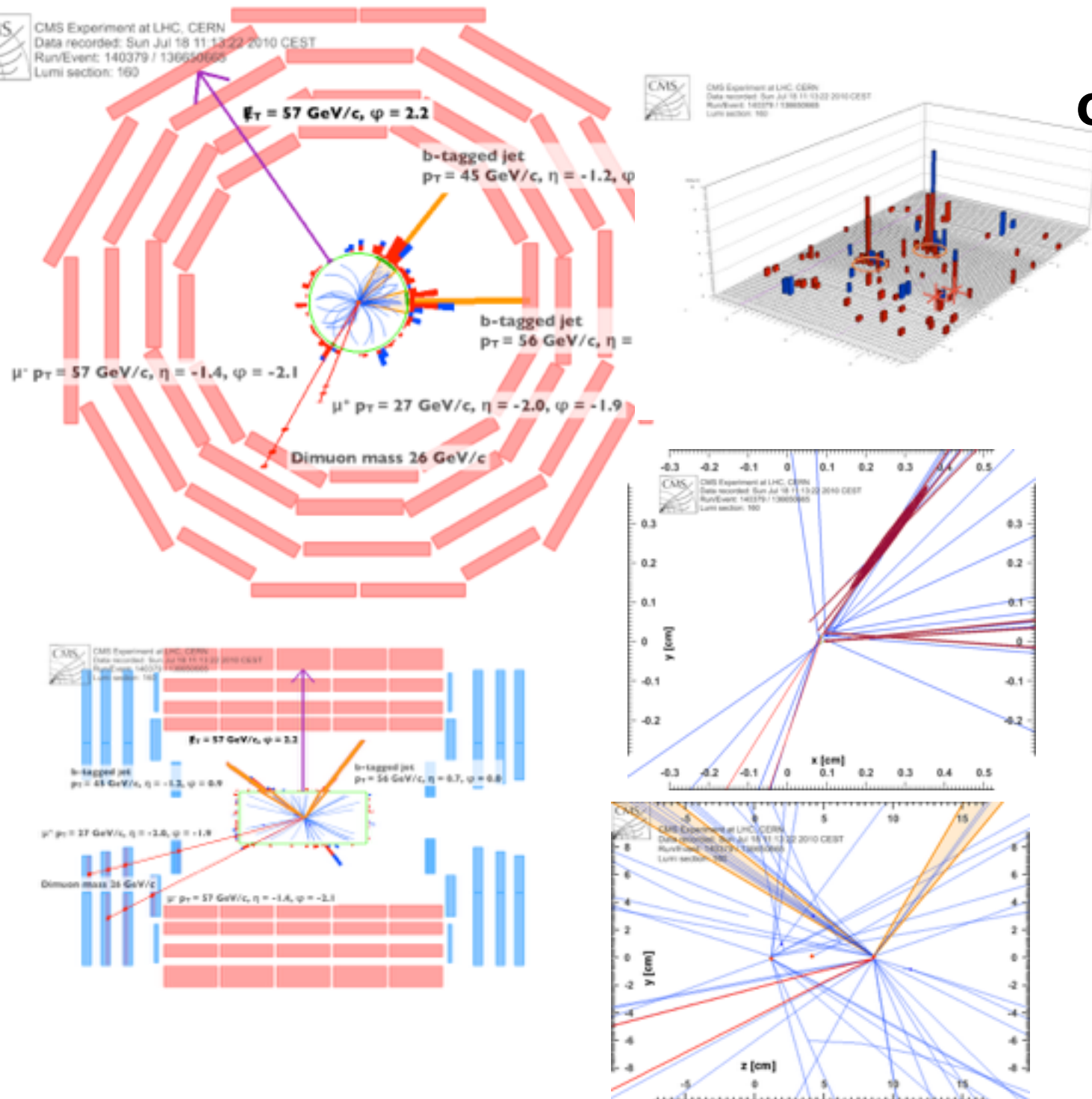
size matters



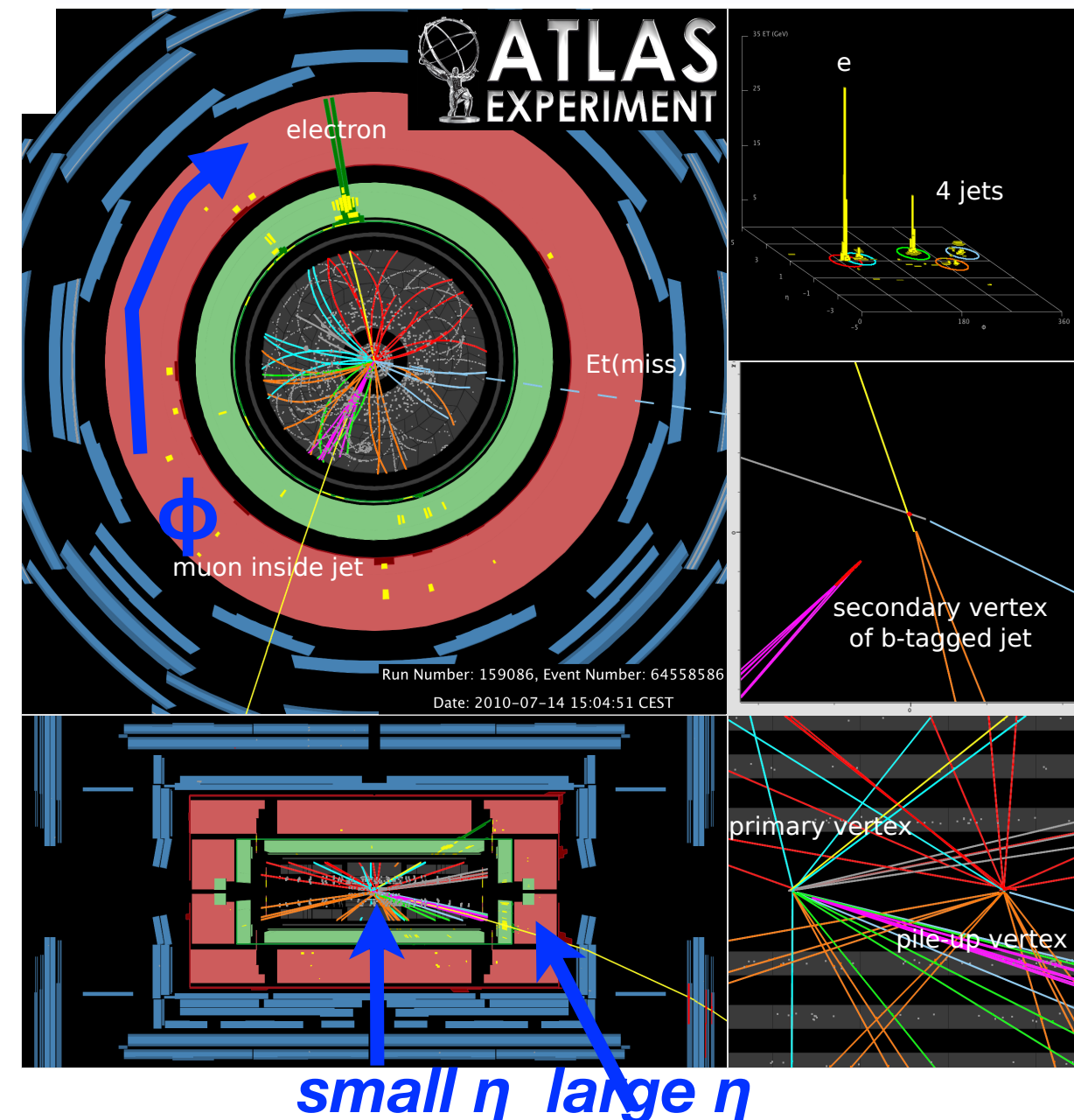
ATLAS and CMS: Top observers.....

Top quark events are real
commissioning tool: full detector
at play!!

e+jets candidate



di-lepton ($\mu\mu$ +jets) candidate

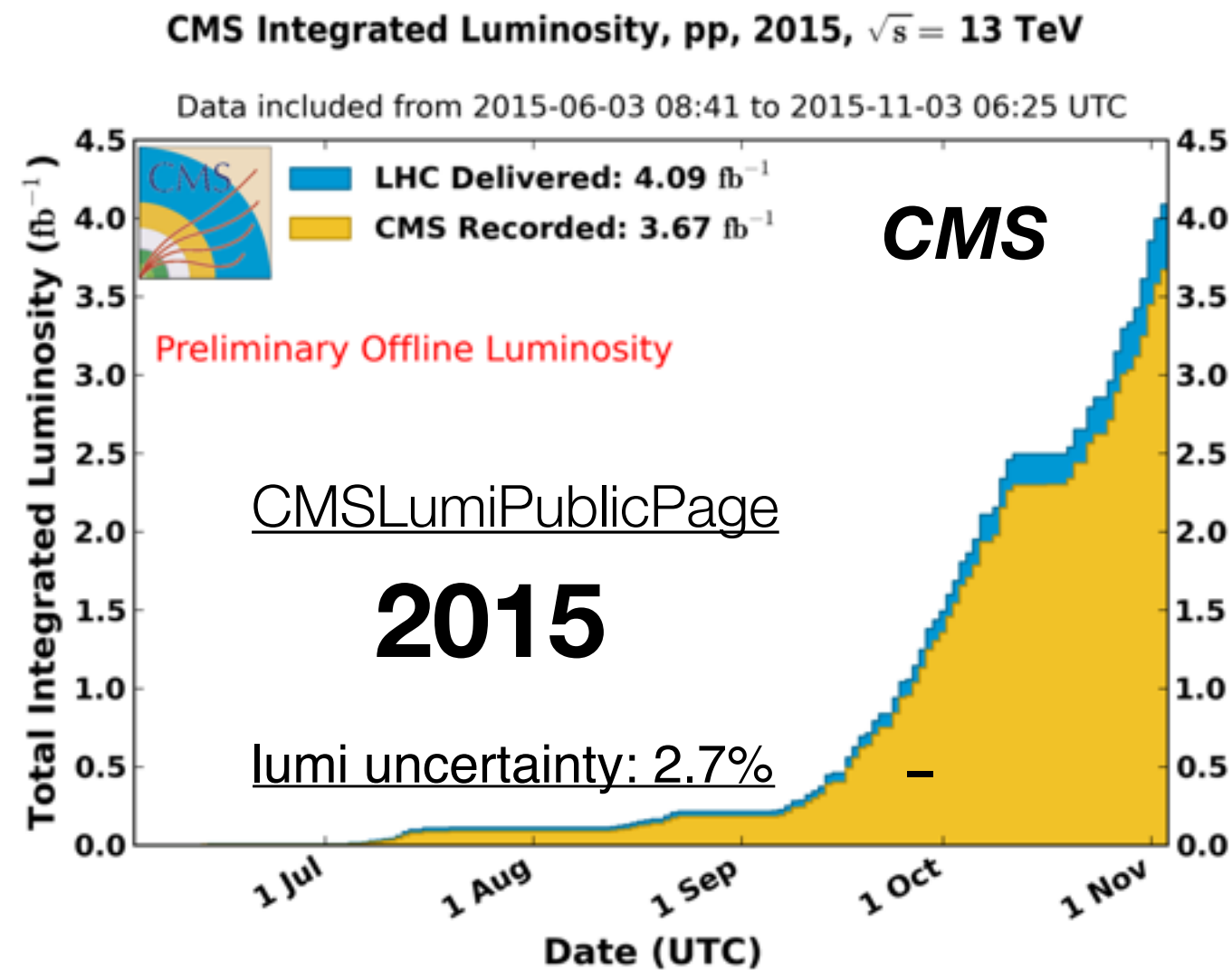
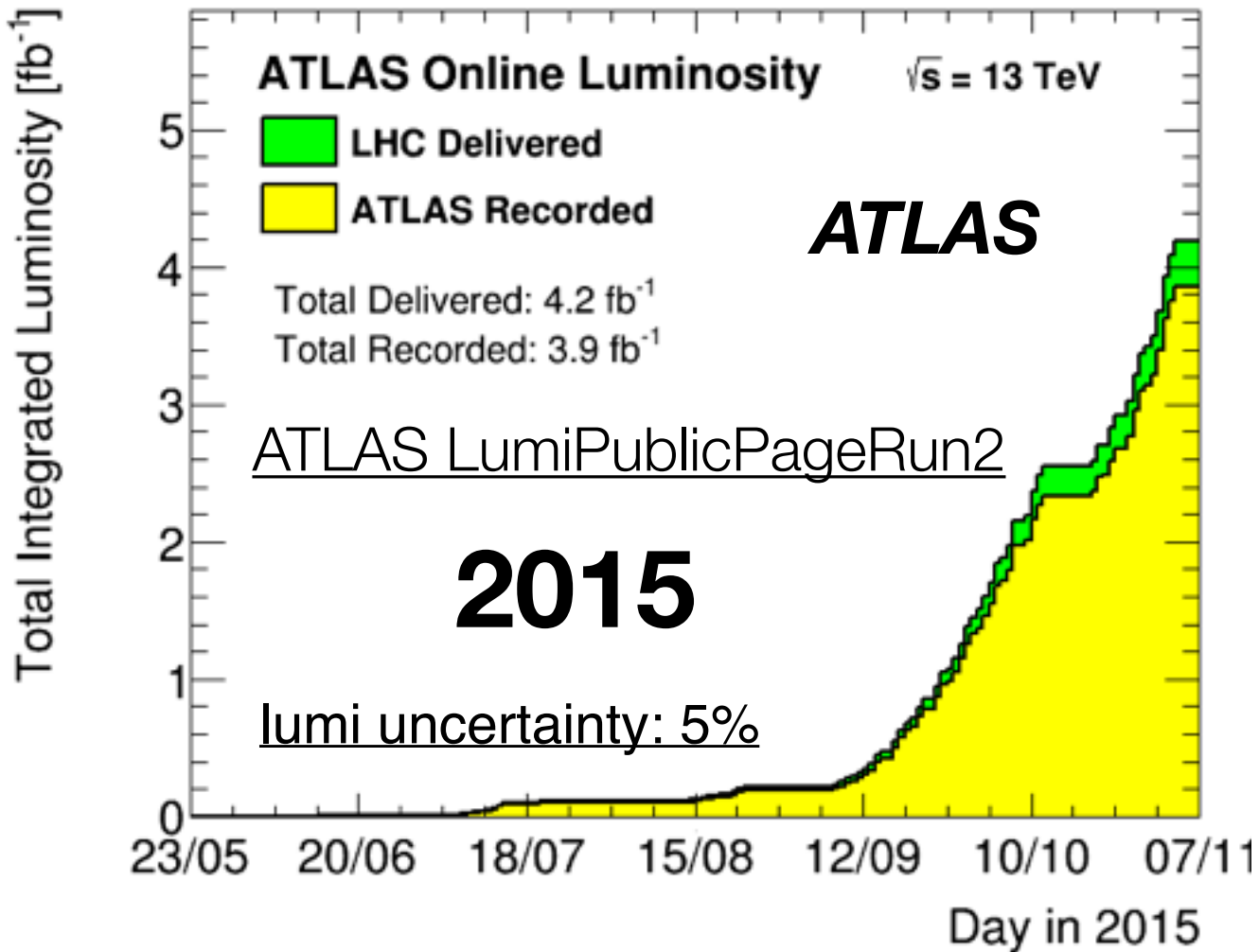


small η large η

...with excellent data taking performance

Analyses use : $\sim 4.5\text{-}5 \text{ fb}^{-1}$ @7TeV , $\sim 20\text{-}21 \text{ fb}^{-1}$ @8TeV ~ 2.6 to 3.2 fb^{-1} @ 13 TeV

$$N_{\text{events}}(\Delta t) = \int L dt * \text{cross section}$$



	2010	2011	2012
Delivered	0.0481	5.46	22.8
Recorded	0.0450	5.06	21.3
Uncertainty	3.4%	1.8%	2.8%

	2010	2011	2012
Delivered	0.04422	5.51	23.30
Recorded	0.04076	5.41	21.79
Uncertainty	4%	2.2%	2.6%

Data sample for first top paper $\sim 3 \text{ pb}^{-1}$

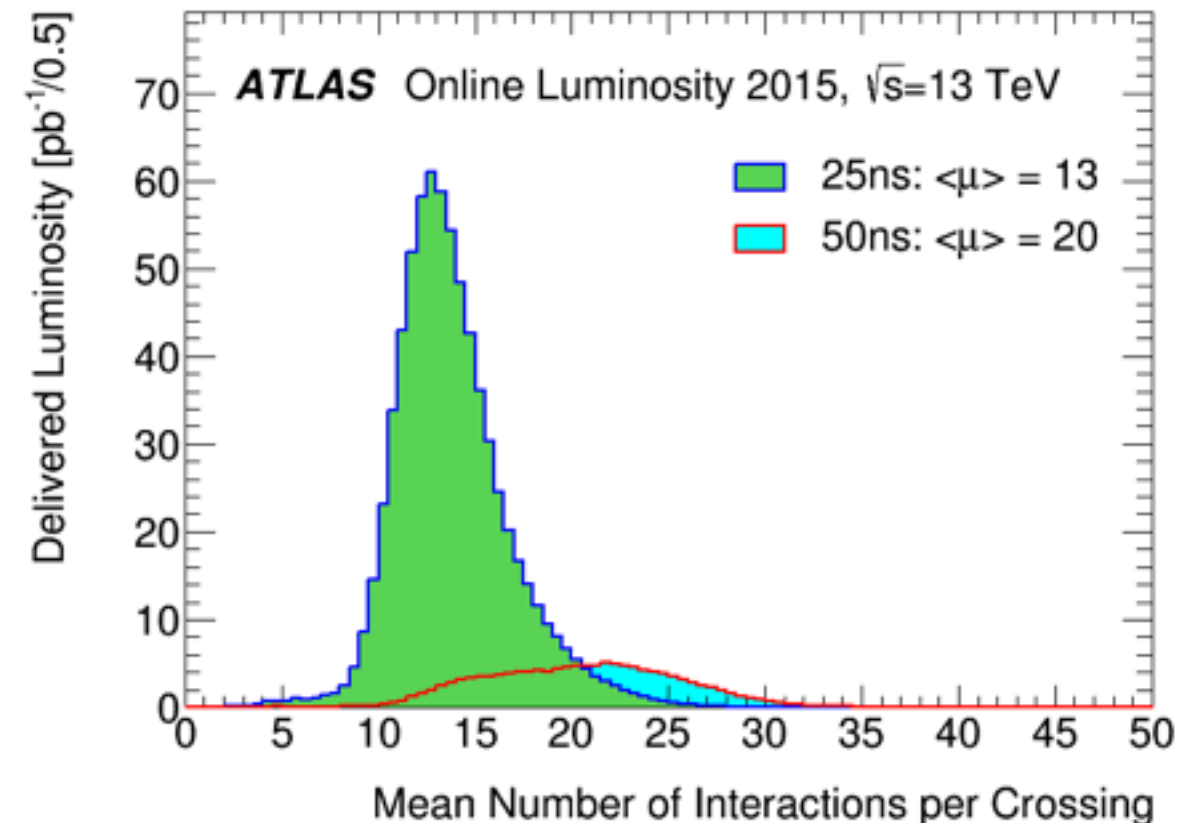
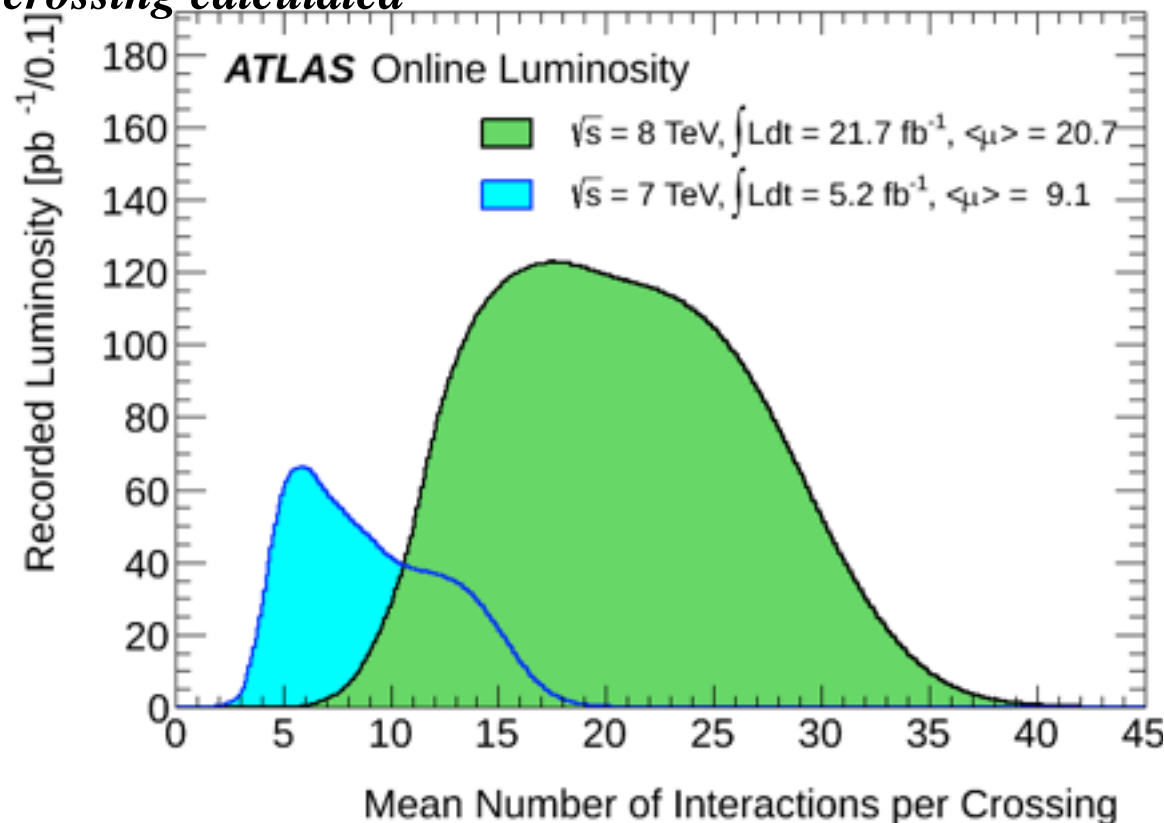
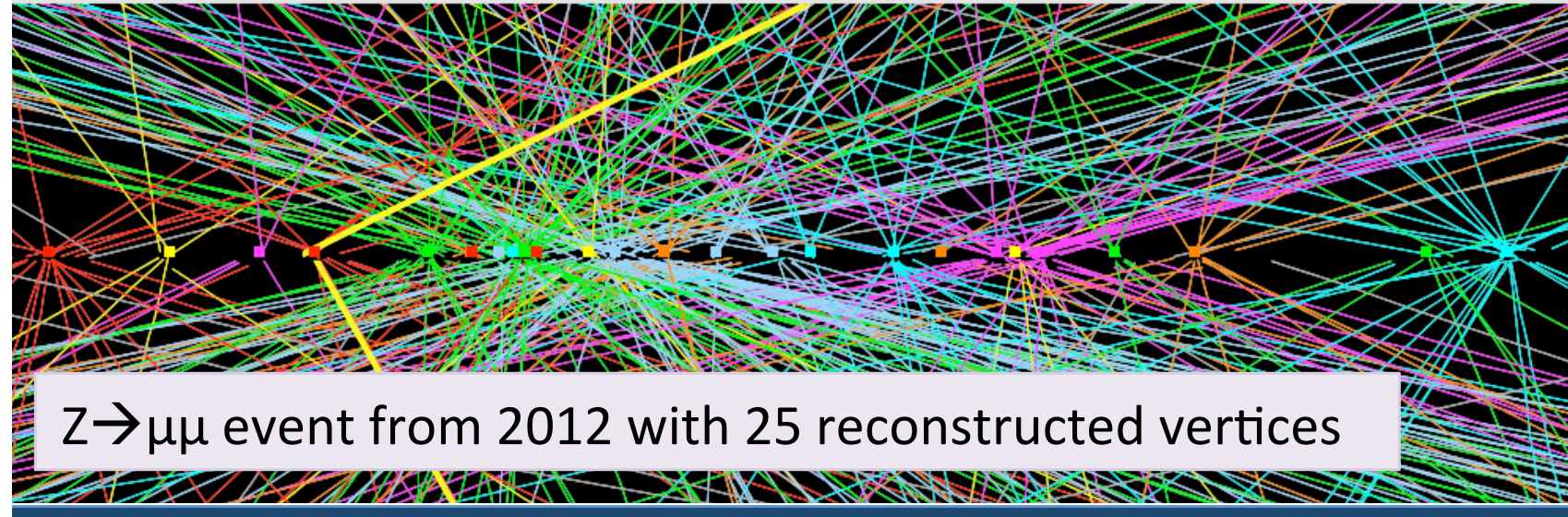
...In a harsh environment

Number of Interactions per Crossing

Shown is the luminosity-weighted distribution of the mean number of interactions per crossing for the 2011, 2012 and the 2015 data.

The integrated luminosities and the mean μ values are given in the figure. The mean number of interactions per crossing corresponds the mean of the poisson distribution on the number of interactions per crossing calculated for each bunch.

- Running with 50ns bunch spacing (instead of 25ns)
 - double pile-up for same luminosity
- Has to be fought and mitigated at all levels:
 - Trigger, reconstruction of physics objects, isolation cuts, etc.
 - Data processing: CPU time for reconstruction...



Selection/Ingredients for top quark pairs/single-top

ATLAS (CMS is similar)

Event cleaning

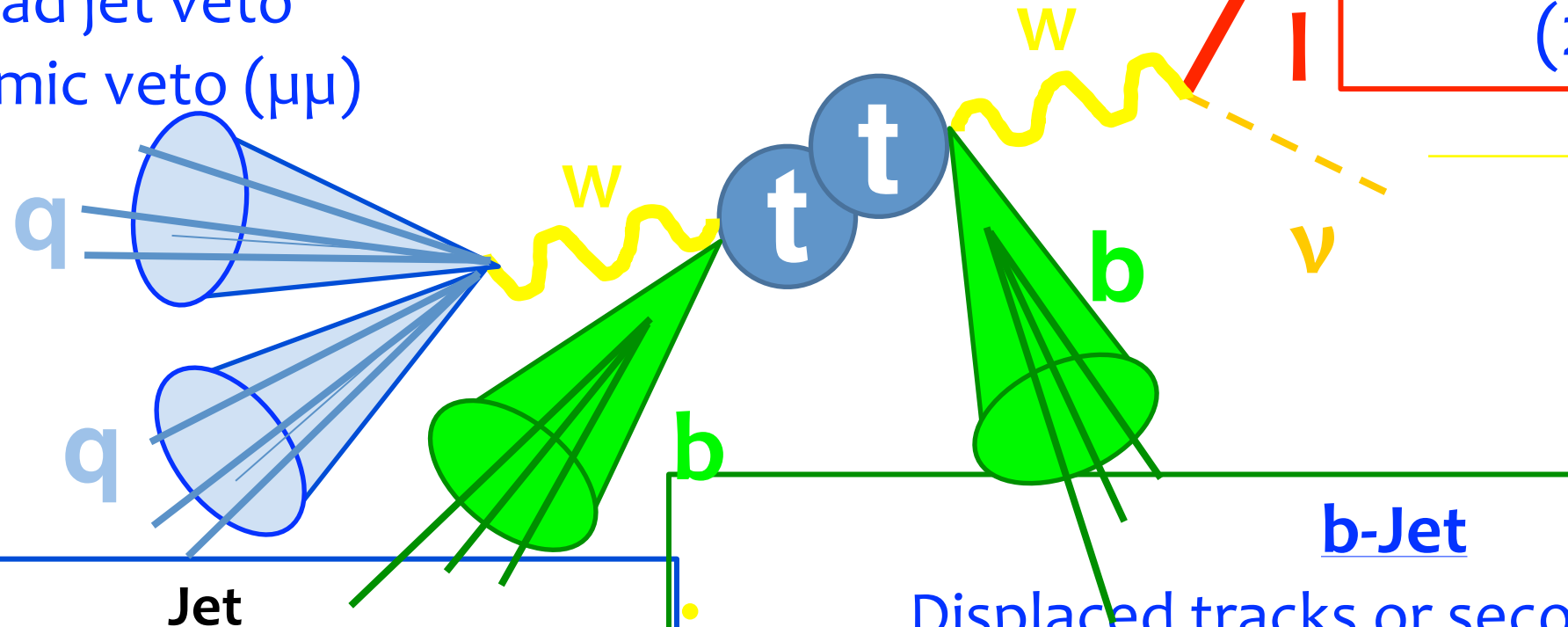
- Good run conditions
- Primary vertex (PV) with at least 5 tracks
- Bad jet veto
- Cosmic veto ($\mu\mu$)

Electron

- Good isolated calo object
- Matched to track
- $E_T > 25$ GeV
- $|\eta| \in [0; 1.37][1.52; 2.47]$

Muon

- Segments in tracker and muon detector
- Calo and track isolation
- $p_T > 20$ GeV $|\eta| < 2.5$ (2.1 for CMS)



Jet

- Topological clusters, Anti- k_T ($R=0.4$)
- MC Calibration checked w/data
- $p_T > 25$ (20) GeV (30 for CMS), $|\eta| < 2.5$
- (large JVF = $\sum_{\text{jet trk in PV}} p_T / \sum_{\text{jet trk}} p_T$ vs pile-up jets, CMS: use particle flow to remove charged hadrons not from prim vertex)

b-Jet

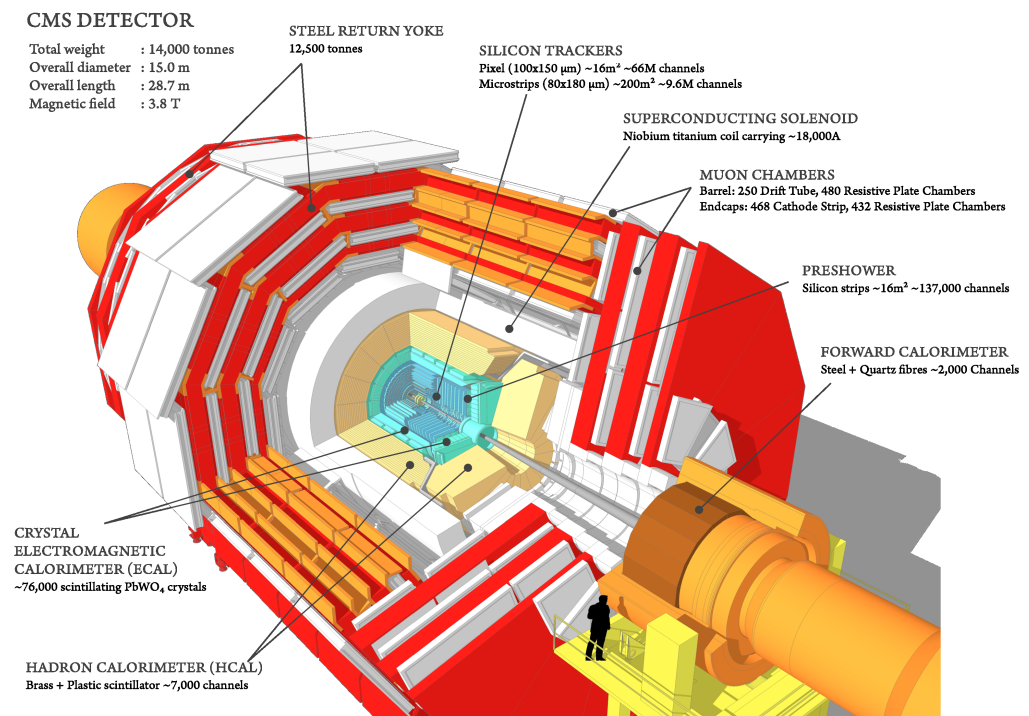
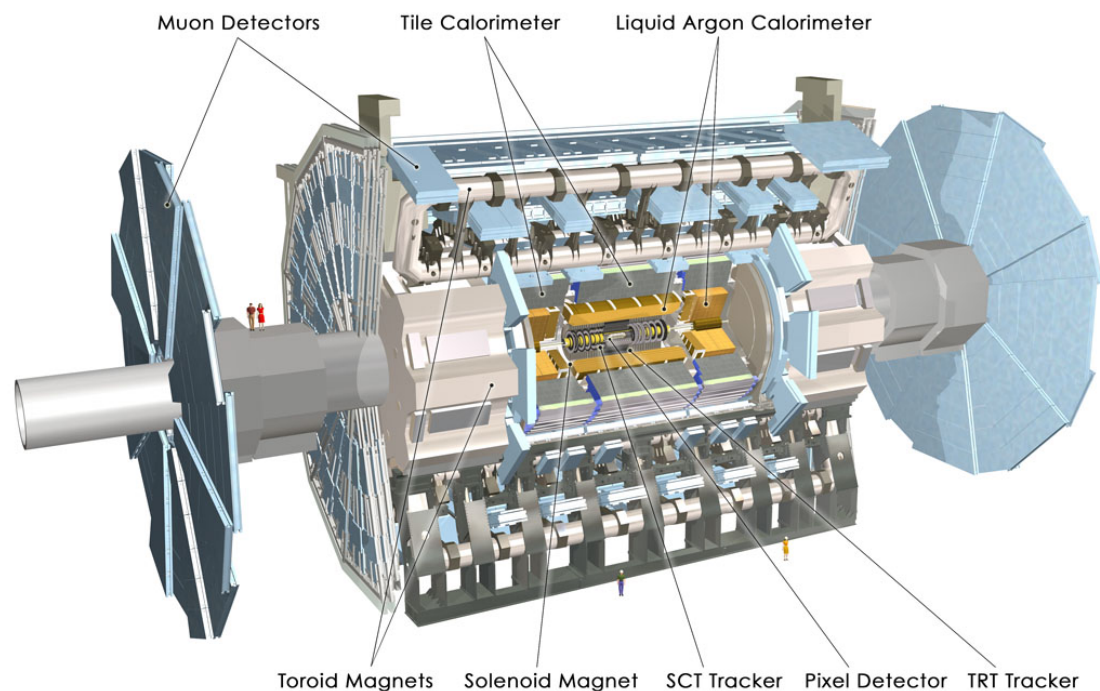
- Displaced tracks or secondary lepton
- SVO: reconstruct sec.vertex
- JetProb: track/jet compatibility with prim. vertex
- IP3D+SV1 +/- JetFitter: advanced lkl/NN taggers



Towards Run II and beyond

Beyond Run2 Towards the HL-LHC: detector upgrade strategies

10/34



Consolidate detectors, address operational issues, prepare for high pileup

Phase 0

2013-2014

- complete muon coverage, improve muon trigger, new smaller radius beam pipes
- CMS : Replace HCAL forward PMTs and outer HPD → SiPM
- ATLAS : Diamond beam monitor, additional pixel layer

Maintain / improve performance at high pileup

Phase I

2018-2019

- CMS: new pixels, HCAL SiPMs, electronics, and LI-Trigger
- ATLAS: LI trigger improvement, fast track trigger at L2, new muon small wheels

Maintain / improve performance at extreme pileup : sustain rate + radiation doses

Phase II

2023-2024

- New inner detector, new calorimeter electronics, muon extension, trigger and DAQ upgrade
- CMS: track trigger, replace endcap calorimeters
- ATLAS: replace inner tracker, new forward calorimeter

(P Ferreira da Silva @TOP2014)

Data-driven Backgrounds - (single lepton+jets) - **example from run1**

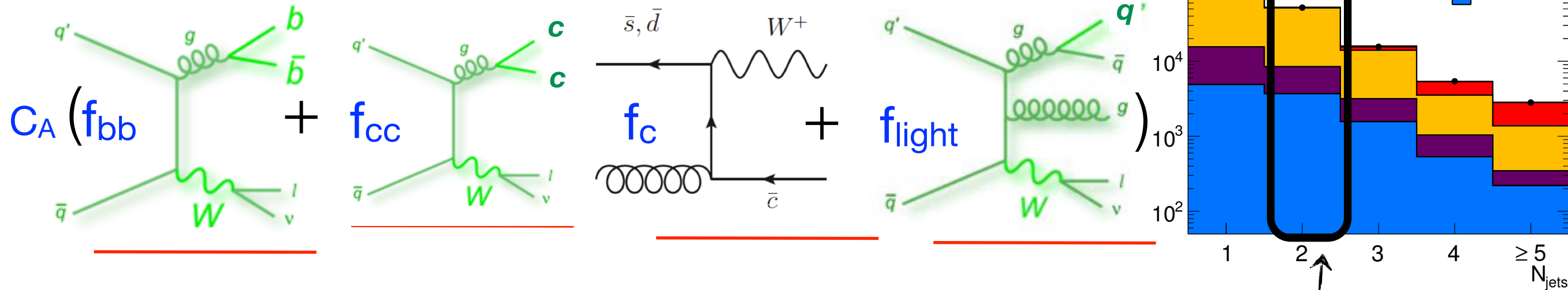
ATLAS-CONF-2011-121

• ***W+jets***

simulated shapes

ATLAS

data-driven overall norm and flavour fractions



2. Derive f_{xx} from data

1. Apply **standard single lepton selection**, excluding b-tagging and replacing jet requirements by $N_{jet} = 2, \geq 1$ b-tag;
2. Derive K_{xx} from matrix equation involving D_{W^+} (D_{W^-}) observed in 2-jet bin, after bkg subtraction

$$\begin{pmatrix} C_A \cdot (N_{MC,W^-}^{b\bar{b}} + N_{MC,W^-}^{c\bar{c}}) \\ C_A \cdot (N_{MC,W^+}^{b\bar{b}} + N_{MC,W^+}^{c\bar{c}}) \end{pmatrix} \begin{pmatrix} (f_{b\bar{b}} + f_{c\bar{c}}) \\ f_c \end{pmatrix} \begin{pmatrix} C_A \cdot N_{MC,W^-}^c \\ C_A \cdot N_{MC,W^+}^c \end{pmatrix} \begin{pmatrix} C_A \cdot N_{MC,W^-}^{light} \\ C_A \cdot N_{MC,W^+}^{light} \end{pmatrix} \cdot \begin{pmatrix} K_{b\bar{b},c\bar{c}} \\ K_c \\ K_{light} \end{pmatrix} = \begin{pmatrix} D_{W^-} \\ 1.0 \\ D_{W^+} \end{pmatrix}$$

known from MC & from step 1 *unknown* *observed*

3. Derive C_A as in step 1 but in r_{MC} use K_{xx} from step 2 keeping relative ratios between K_{xx} to derive a new prediction for $N_{MC,W^+}/N_{MC,W^-}$

Data-driven Backgrounds

(*tt* single lepton+jets, single top *t,s*-chan)

• Fake leptons

• Matrix method (J Boudreau, Top2012)

$$N^{\text{loose}} = N_{\text{real}}^{\text{loose}} + N_{\text{fake}}^{\text{loose}},$$

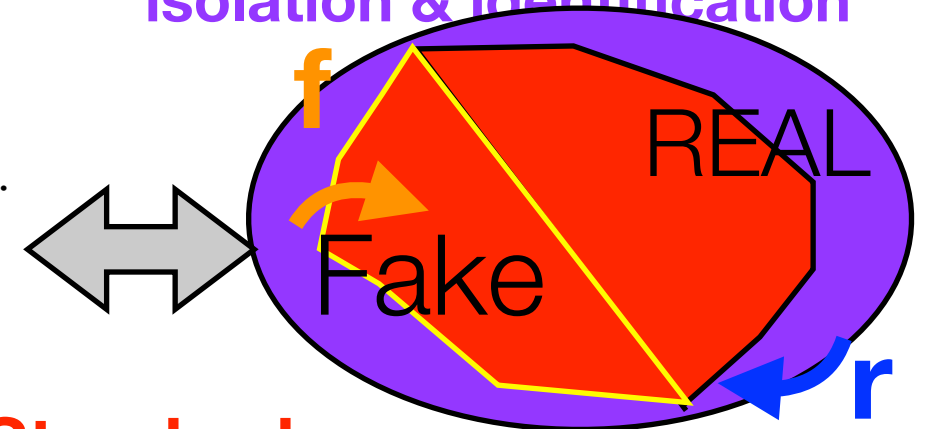
$$N^{\text{std}} = r N_{\text{real}}^{\text{loose}} + f N_{\text{fake}}^{\text{loose}}$$

r is the marginal efficiency of standard cuts.

f is the same, for background sources

Both can be measured in pure or background event subtracted samples

Loose selection=relax lepton isolation & identification



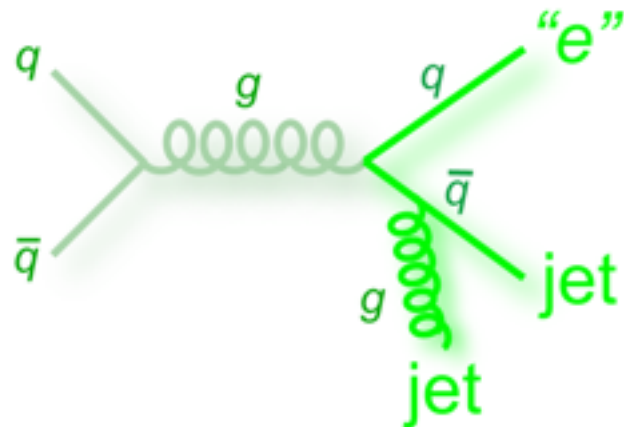
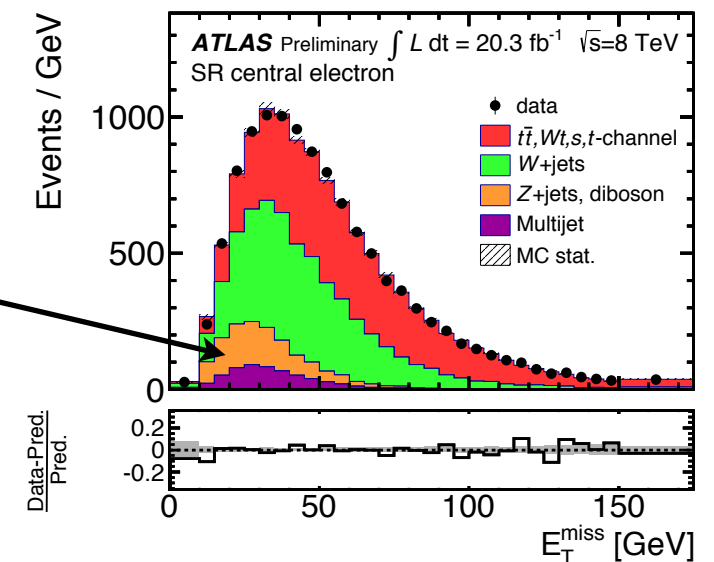
Standard selection

• Jet template

Shape from jet triggered events with 1 high em. content jet.

Normalize by fitting low E_T^{miss} shape to data and extrapolate

ATLAS-CONF-2014-007



“Fake” leptons: mis-id jets, $\gamma \rightarrow e^+e^-$, non-prompt leptons (*b/c*-decays), punch-through had

• SS extrapolation (*tt* di-lepton, *Wt* single top)

In $e^+\mu^-$ ($e^-\mu^+$) Opposite Sign dilepton events, 1 or 2 *b*-tag

Simulation: fakes dominate events with Same Sign (SS) leptons $e^-\mu^-$ ($e^+\mu^+$)

Fakes Rate in SS ~ OS

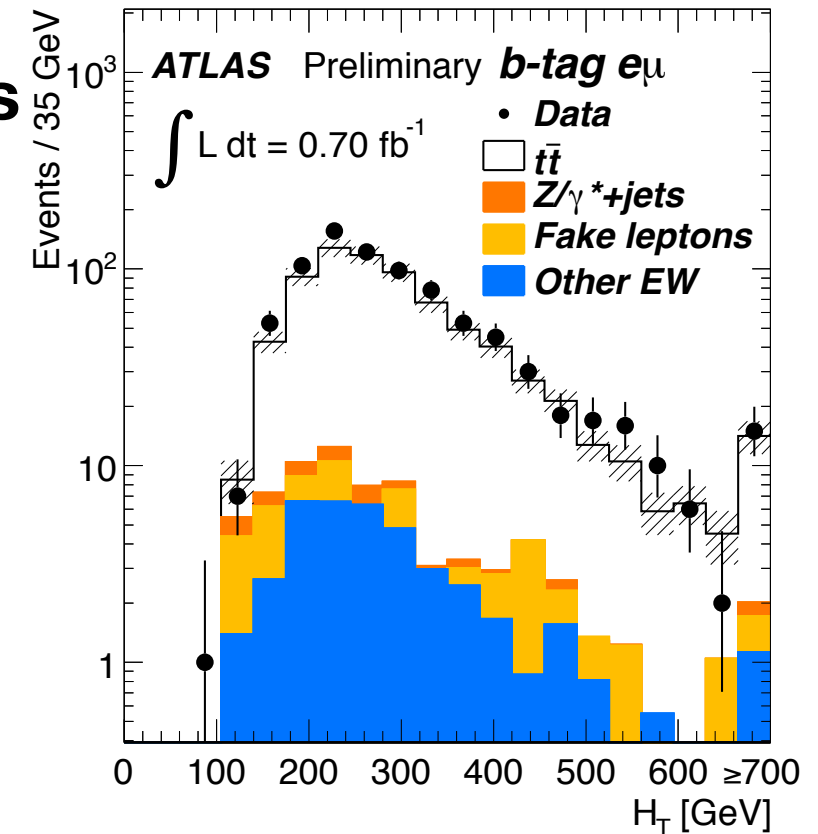
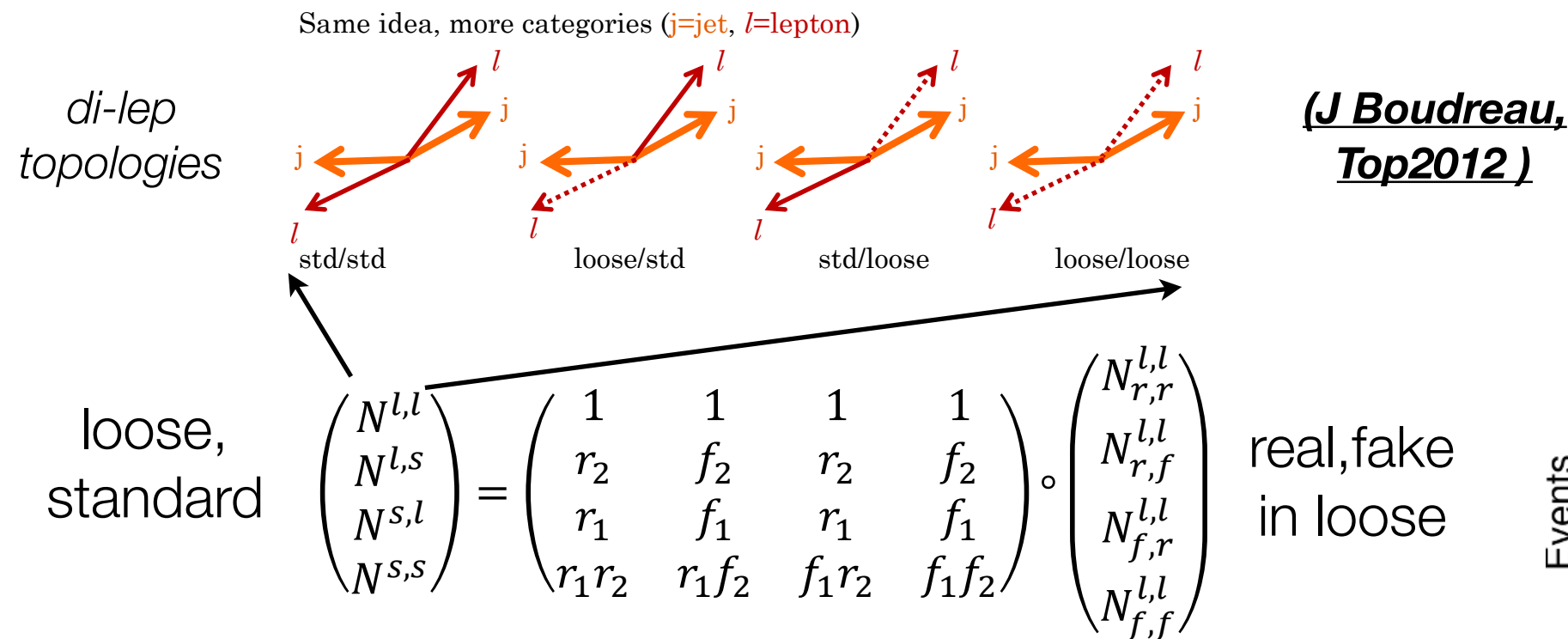
$$N_{\text{fakes}} (\text{OS}) = [\text{Data}(\text{SS}) - \text{NonFakeBkg}(\text{SS})] \frac{\text{MC} (\text{OS})}{\text{MC} (\text{SS})}$$

MC= *tt* with 1 had W, W+jets, W+ γ +jets, *t*-chan single top, Dibosons (negligible)

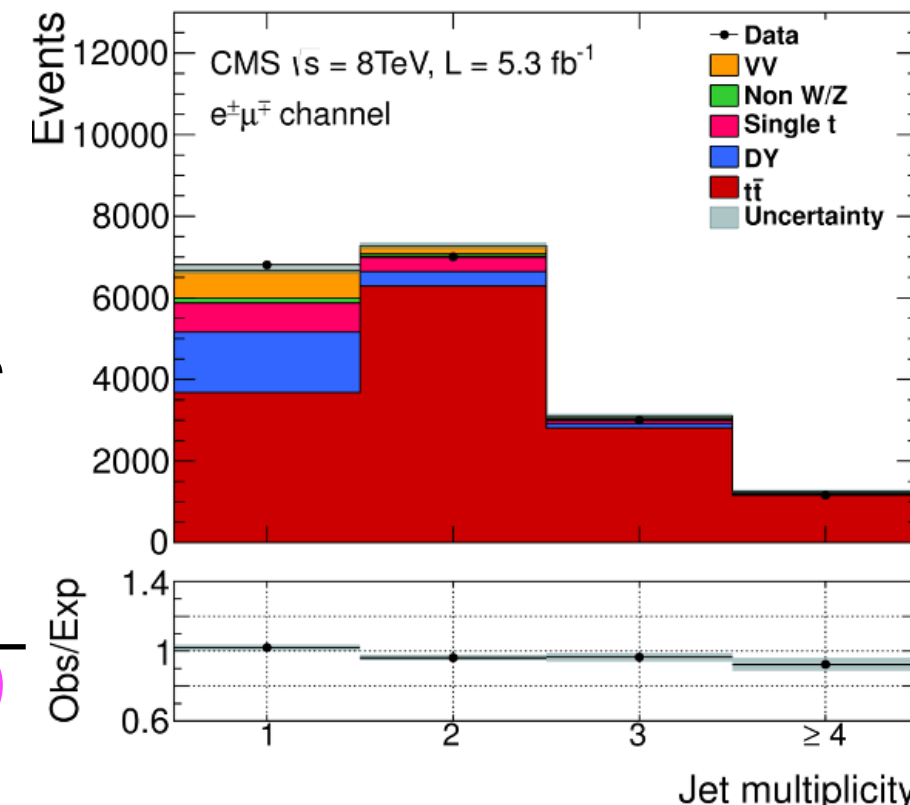
Data Driven Backgrounds ($t\bar{t}$ di-lepton, Wt single top)

ATLAS-CONF-2011-100

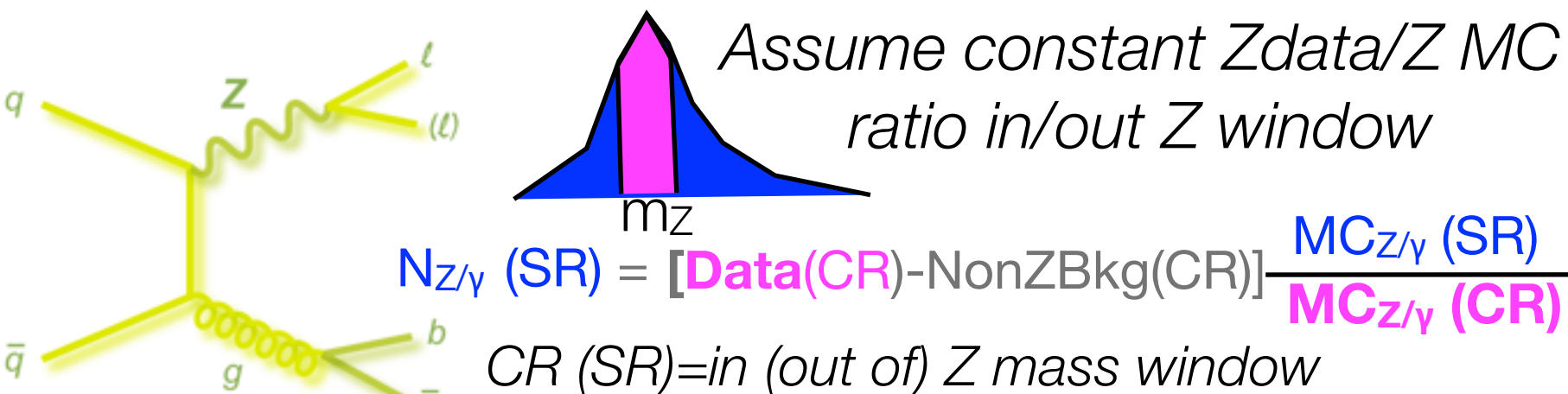
- **Fake leptons** : generalize single lepton estimate
- Get **r** and **f** : probability for loose “fake” and real leptons to pass standard sel. ← control samples enriched with real (in Z window) or “fake” (low E_T^{miss}) leptons
- Combine with **N(di-lep)** for all loose “fake” & real pairs → fake standard lepton content



JHEP02 (2014) 024

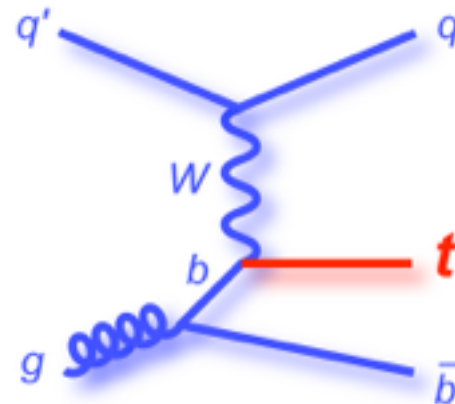


• Z/γ^* bkg ($ee, \mu\mu$)



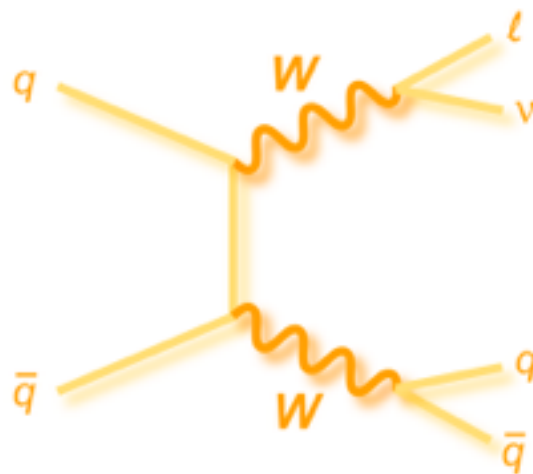
Simulated Backgrounds (*all final states*)

- **Single top**



*Simulated shape+
rate set to approx
NNLO*

- **Di-bosons
(WW,WZ,ZZ)**



*Simulated shape+
rate set to SM*

*normalizations=fit
parameters, estimates are
starting points for fit*

What we study about the top quark

inspired by figure
by D. Chakraborty

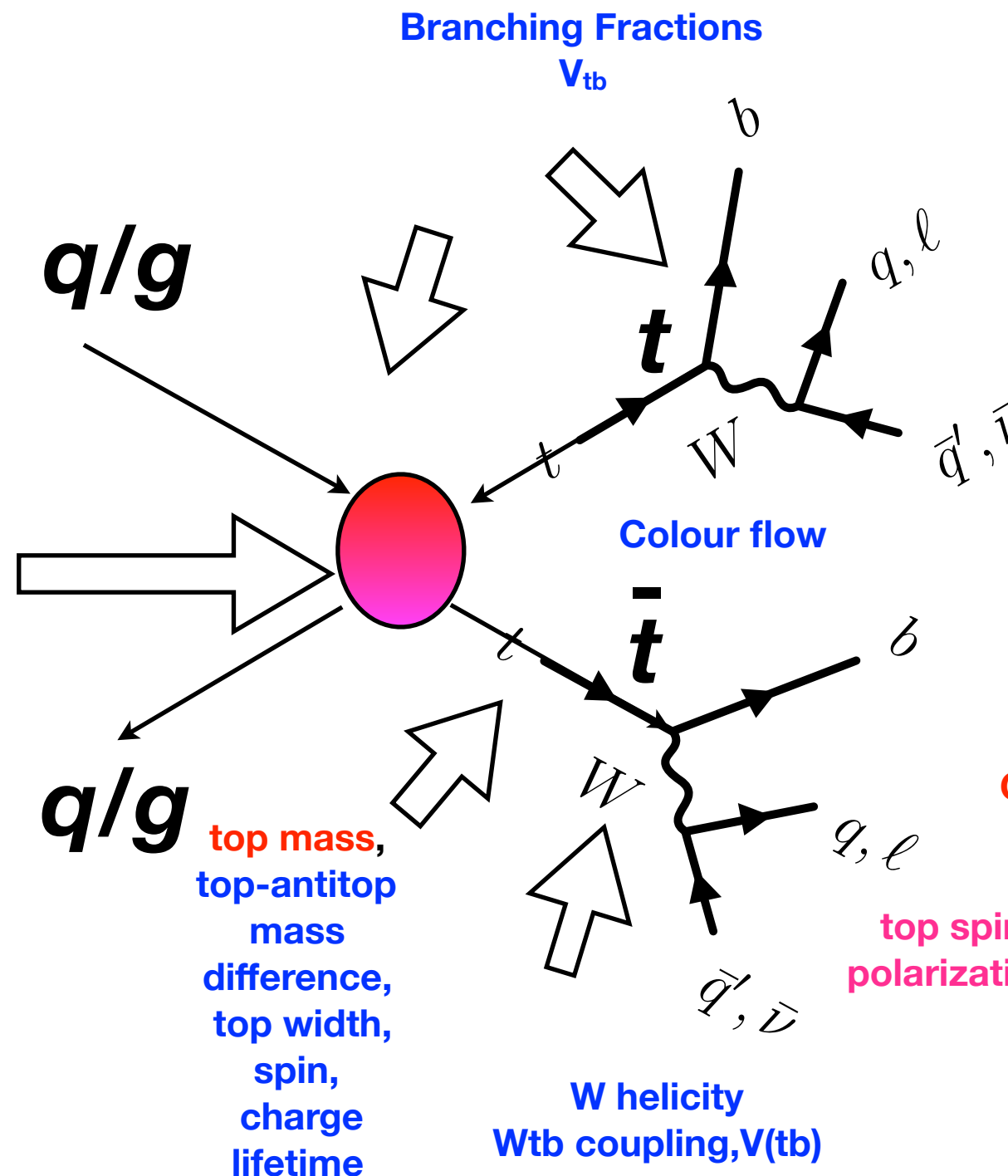
Discuss

briefly touch
upon

Production
cross section
double and
single top

Resonant
production
& New phys

Production
kinematics



Measurement of top cross sections: $\sigma_{t\bar{t}}$ and σ_t

or

how many top quarks have we got?

top pair and single top production

important test of SM

related to fundamental parameters of SM: m_{top} and α_s

sensitive to new physics

$$N_{\text{observed}} = N_{\text{bkg}} + \int L dt * \sigma_{t\bar{t} \text{ or } t} * \text{detection/extrapolation efficiency}$$

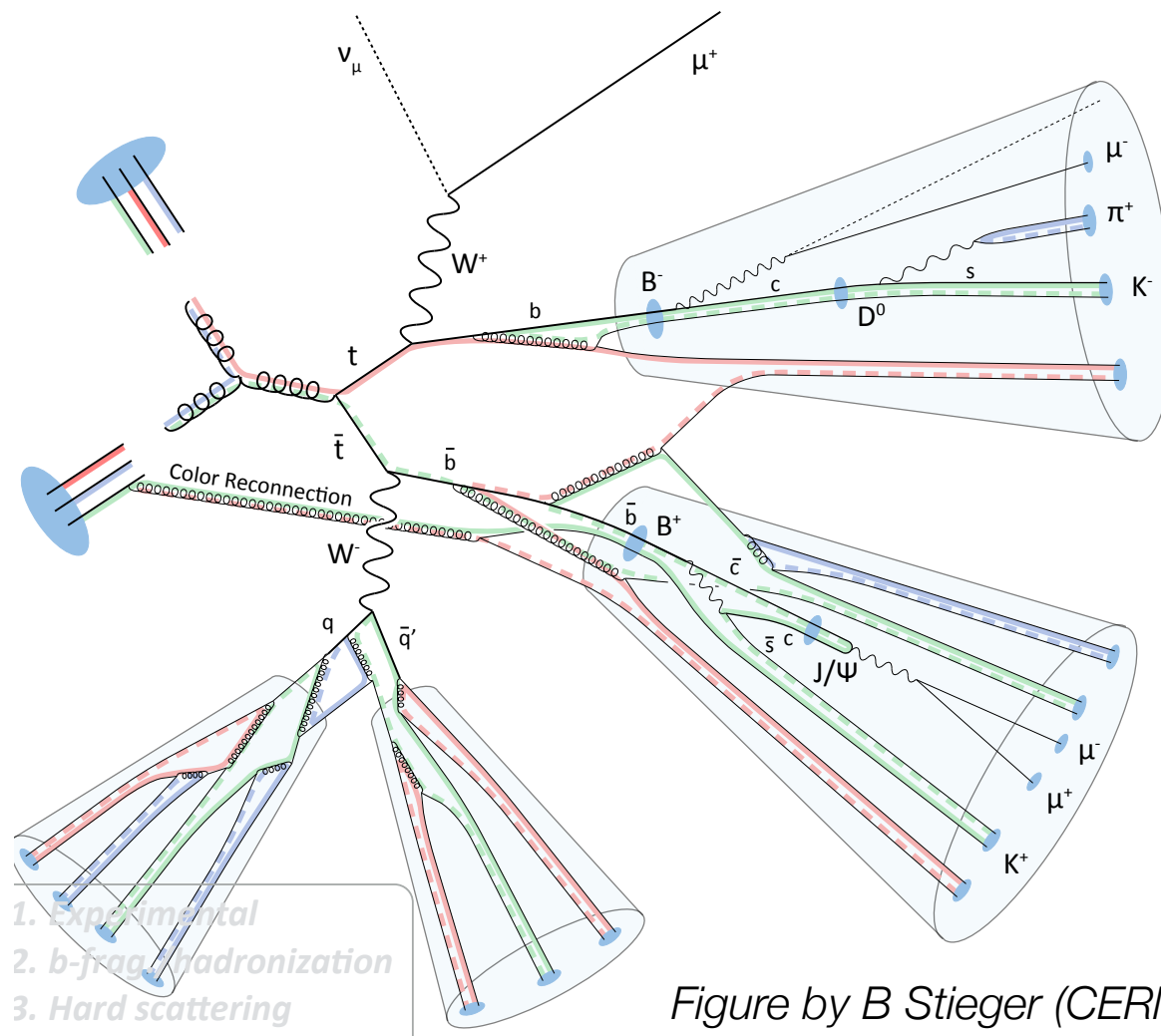
Start to combine results at the LHC...

How is cross section (σ) measured? **The Extrapolation**

- **Particle level, fiducial phase space**
- Object definition at generator level: based on **stable particles** after radiation & hadronization
- Phase space definition closely follows the (detector-level) event selection

*neutrinos are used
to define E_T^{miss}*

Leptons: from W decay
(not from hadron)+ “dressed” with non-measurable FSR

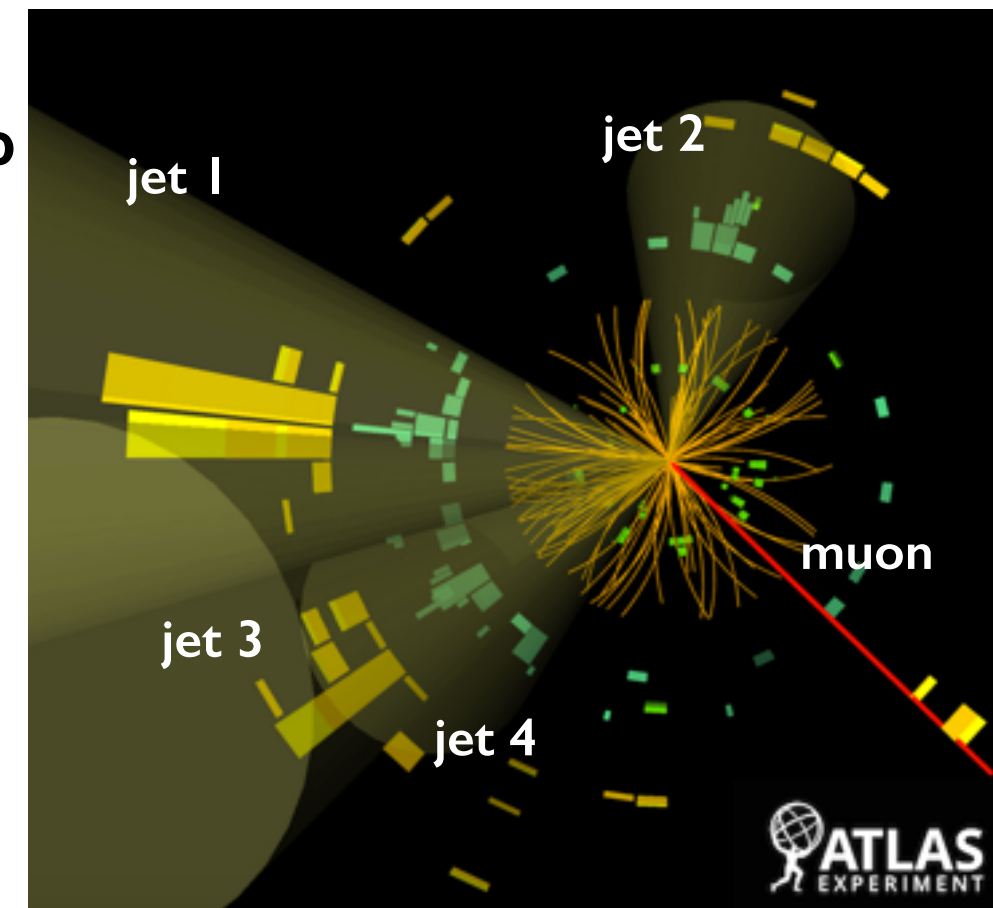
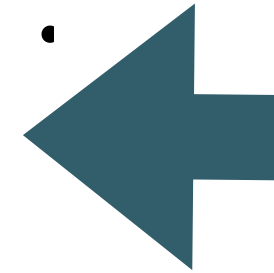


b-jets: contains
any of the decay
products of a B-
hadron

essential clues

▪ **Detector Level**

Correct to



Jets: anti-kT algorithm (as for reco jets), cluster all but prompt particles (i.e, ν , μ from hadron decays are inside jets)

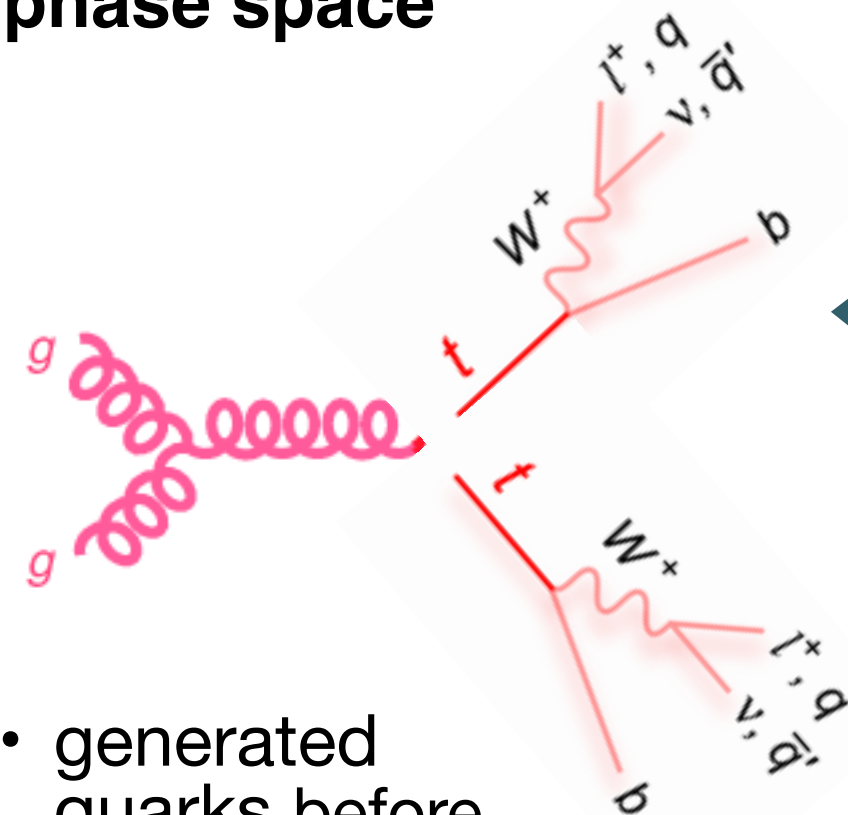
How is cross section (σ) measured? **The Extrapolation**

essential clues

- **Particle level, fiducial phase space**
- Object definition at generator level: based on **stable particles** after radiation & hadronization
- Phase space definition closely follows the (detector-level) event selection

Leptons: from W decay
(not from hadron)+ “dressed” with non-measurable FSR

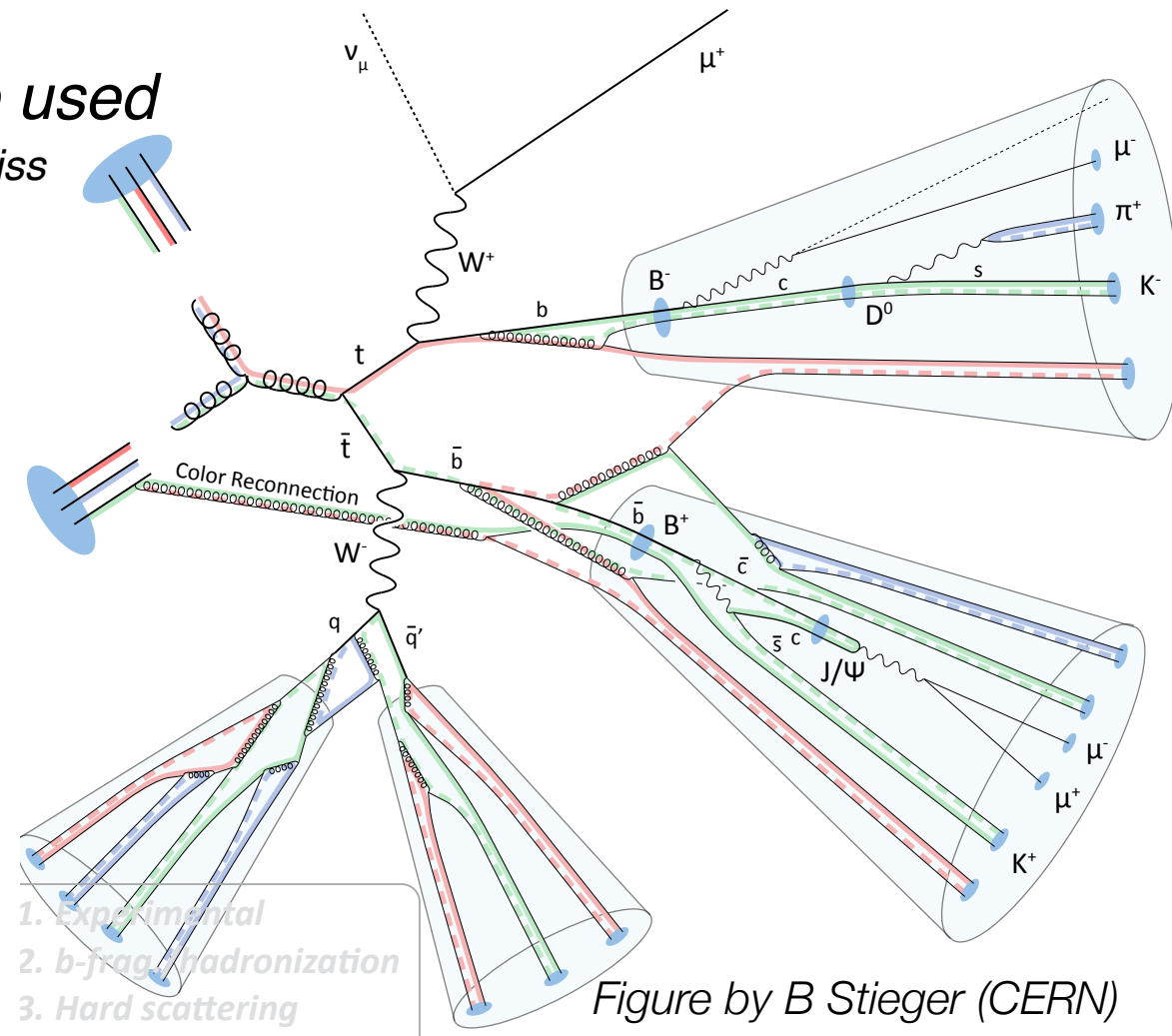
▪ Parton level, full phase space



- generated quarks before decay and after QCD radiation

neutrinos are used
to define E_T^{miss}

Correct to



b-jets:
contains
any of
the
decay
products
of a B-
hadron

Jets: anti- k_T algorithm (as for reco jets), cluster all but prompt particles (i.e, ν , μ from hadron decays are inside jets)

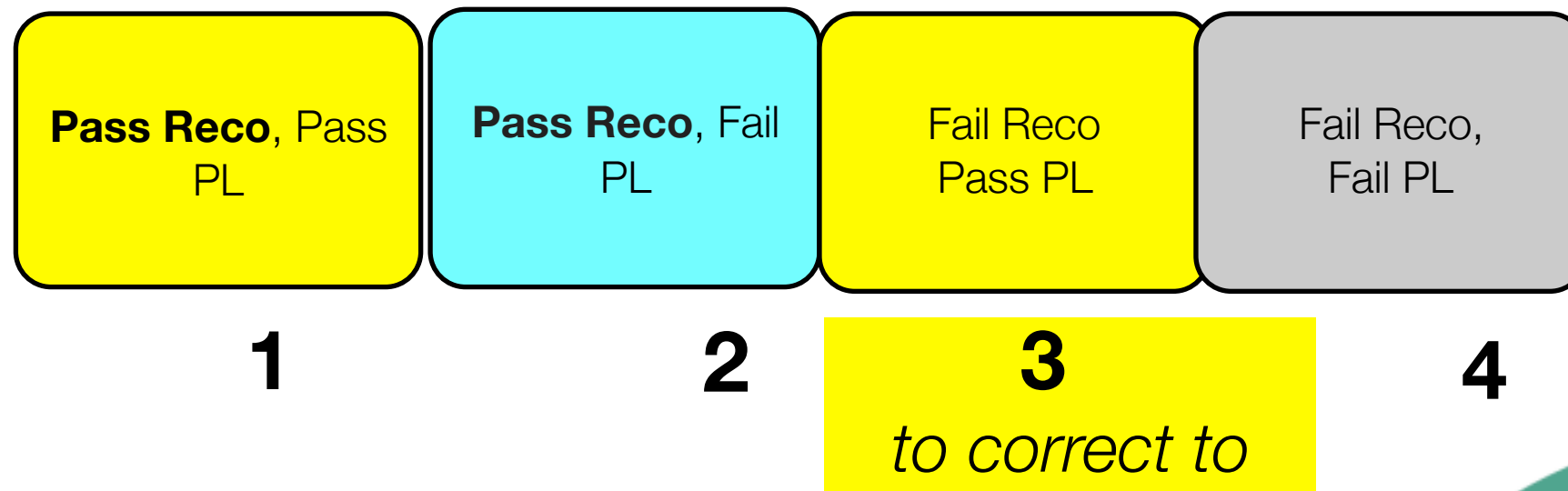
How is cross section (σ) measured? **The Extrapolation**

$$\sigma_{t\bar{t}}^{\text{fid}/\text{total}} = \frac{N_{\text{evt}}}{\mathcal{E} \times \mathcal{A} \times \mathcal{B}r \times \mathcal{L}} \Rightarrow \sigma_{t\bar{t}}^{\text{total}} = \frac{\sigma_{t\bar{t}}^{\text{fid}}}{\mathcal{A} \times \mathcal{B}r}$$

$$\mathcal{E} = \frac{N_{\text{RECO}}}{N_{\text{GEN}}^{\text{Cut}}} = \frac{1+2}{1+3}$$

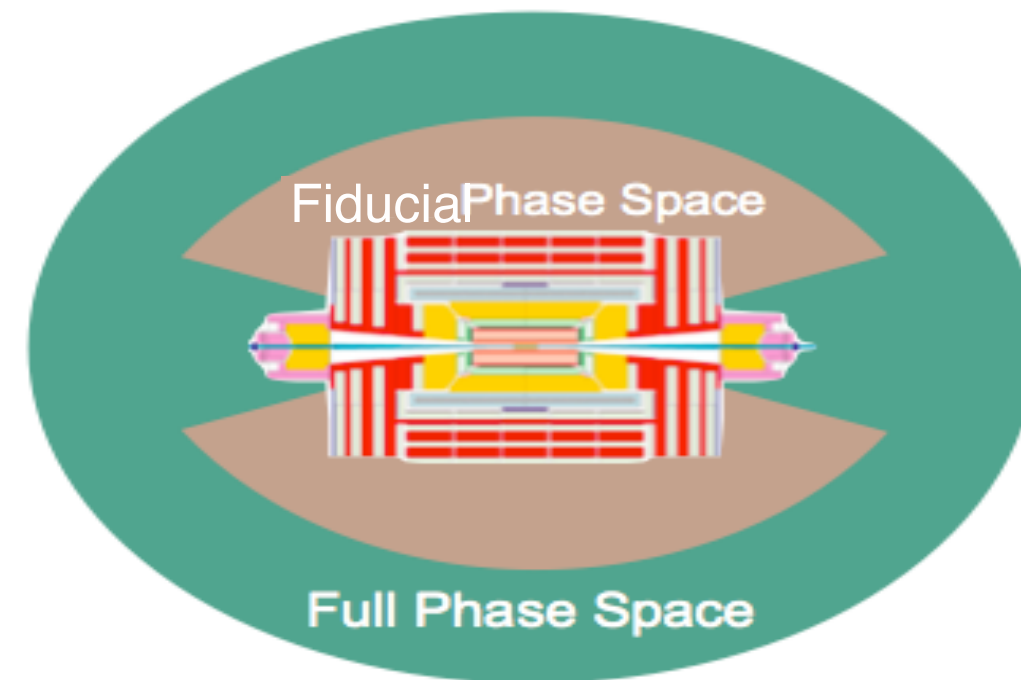
$$\mathcal{A} = \frac{N_{\text{GEN}}^{\text{Cuts}}}{N_{\text{GEN}}} = \frac{1+3}{1+2+3+4}$$

Reco



essential clues

- **Particle level, fiducial phase space:** durable connection with theory
 - Store & compare results with evolving predictions: **Robust Independent Validation of Experiment and Theory**
 - usually reduced modelling uncertainties
- **Parton level :** Comparison with highest order QCD calculations, so far only available in production



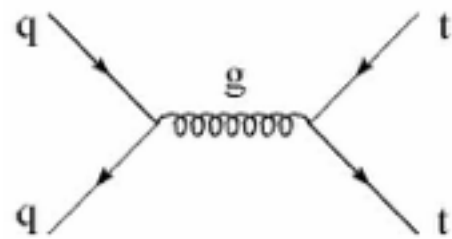
Top specific!

Dilepton e channel: emerging as the most precise

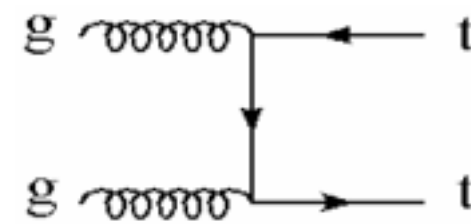
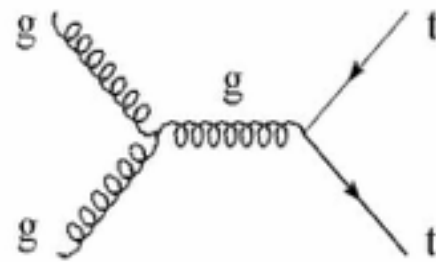
- **low bkg , reduction of syst uncertainties from jets**

top pair production

qq annihilation



gluon fusion



Dominant production scheme

Inclusive σ_{tt} : dilepton - $\sqrt{s} = 7, 8, 13$ TeV

$\ell\nu\ell\nu b\bar{b}$

$\int L dt \sim 4.6 \text{ fb}^{-1}$ (2011)
 $\int L dt \sim 20.3 \text{ fb}^{-1}$ (2012)
 $\int L dt \sim 3.2 \text{ fb}^{-1}$ (2015)

- Require opposite sign (OS) $e\mu$, no H_T, E_T^{miss} cuts, no lep isolation *minimal use of jet/ E_T^{miss} info*
- Bkg: single top (Wt) (from simul.), data-driven fake leptons (extrapolated from same sign lep. sample), Z+jets (extrapolated from $Z \rightarrow \mu^+\mu^-$ sample)
- Simultaneous fit for σ_{tt} and ϵ_b , efficiency to select, reco and b-tag a jet in 1-b-tag and 2 b-tag samples \rightarrow minimize jet & b-tag syst

from simulation

$$N_1 = \mathcal{L} \sigma_{t\bar{t}} \epsilon_{e\mu} 2\epsilon_b (1 - C_b \epsilon_b) + N_1^{\text{bkg}}$$

$$N_2 = \mathcal{L} \sigma_{t\bar{t}} \epsilon_{e\mu} C_b \epsilon_b^2 + N_2^{\text{bkg}}$$

Measure $\sigma_{t\bar{t}}$ (parton level) & σ_{fid} (particle level,)

$$\epsilon_{e\mu} = A_{e\mu} G_{e\mu} \quad C_b = \epsilon_{bb} / \epsilon_b^2$$

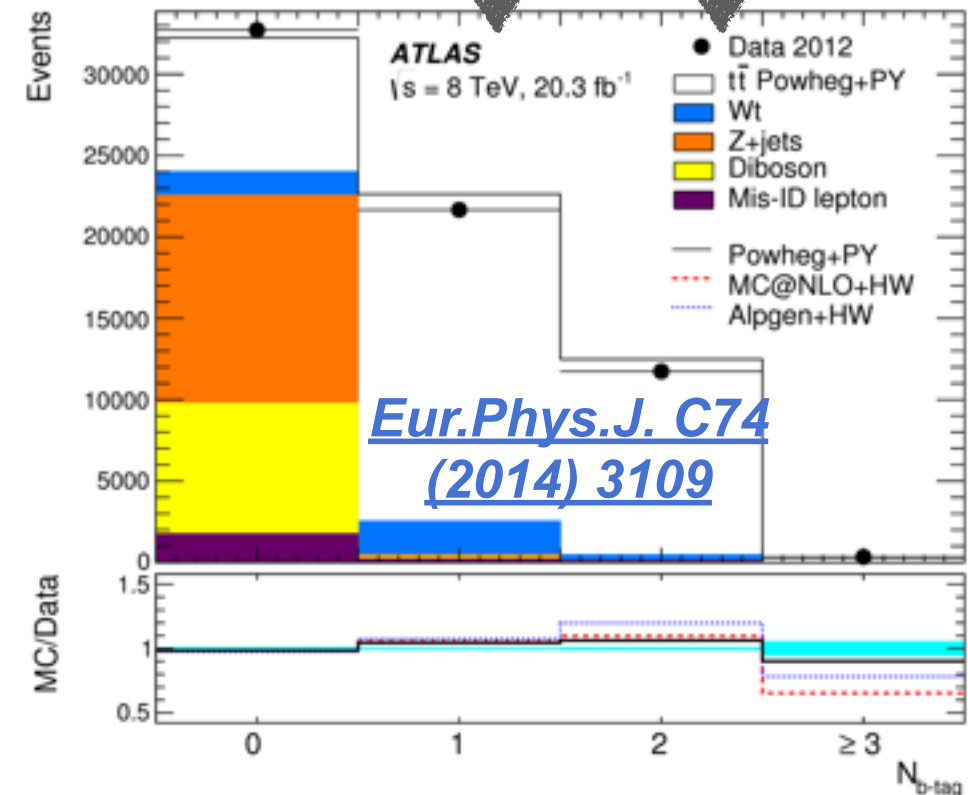
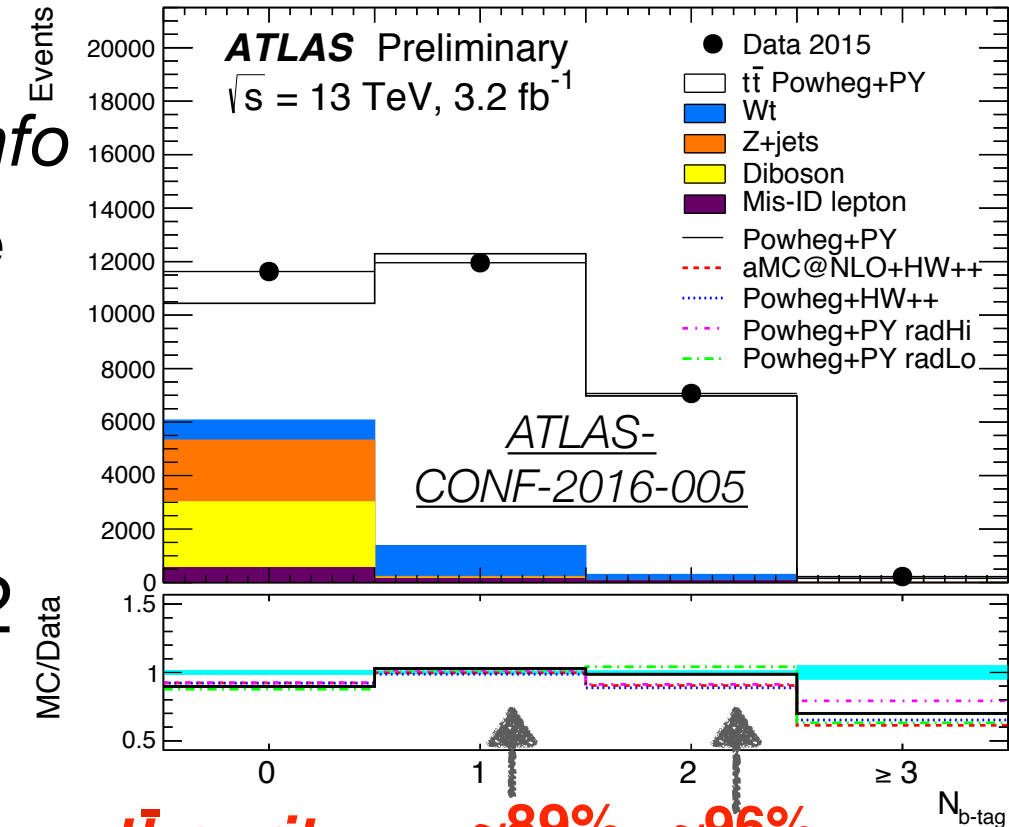
$A_{e\mu}$ = fraction of $t\bar{t}$ ev. with 1 $e\mu$ "dressed" pair from W

b -jet is tagged with b -hadron

$G_{e\mu}$ = $e\mu$ reco efficiency

$$\sigma_{t\bar{t}}^{\text{fid}} = A_{e\mu} \sigma_{t\bar{t}},$$

$$\sigma_{t\bar{t}} \epsilon_{e\mu} \longrightarrow \sigma_{t\bar{t}}^{\text{fid}} G_{e\mu}$$



Inclusive $\sigma_{t\bar{t}}$: dilepton - $\sqrt{s} = 13 \text{ TeV}$

$\int L dt \sim 3.2 \text{ fb}^{-1} \text{ (2015)}$

ATLAS-CONF-2016-005

$\ell\nu\ell\nu b\bar{b}$

$\sigma_{t\bar{t}} = 803 \pm 7 \text{ (stat)} \pm 27 \text{ (syst)} \pm 45 \text{ (lumi)} \pm 12 \text{ (beam) pb}$

$\delta\sigma_{t\bar{t}}/\sigma_{t\bar{t}} \sim 6.7\%$

$\sigma_{t\bar{t}}^{\text{fid}} = 11.12 \pm 0.10 \text{ (stat)} \pm 0.28 \text{ (syst)} \pm 0.62 \text{ (lumi)} \pm 0.17 \text{ (beam) pb}$

$\delta\sigma_{t\bar{t}}/\sigma_{t\bar{t}} \sim 6.3\%$

Uncertainty	$\delta\sigma_{t\bar{t}}/\sigma_{t\bar{t}}(\%)$	
	Particle	Parton
Int. Luminosity	5.5	
Statistical	0.9	
Trigger/sel	0.7	
tt NLO Modelling	0.6	0.8
tt Hadronisation	1.9	2.8
Bkg	0.9	
Total	6.3	6.7

fiducial space is O(1%) of full space

- Dominated by “External”
Systematic effects: *Luminosity*

Inclusive $\sigma_{t\bar{t}}$: dilepton - $\sqrt{s} = 7 \text{ \& } 8 \text{ TeV}$

[*Eur.Phys.J. C74 \(2014\) 3109*](#)

$$\int L dt \sim 20.3 \text{ fb}^{-1} \text{ (2012)}$$
$$\int L dt \sim 3.2 \text{ fb}^{-1} \text{ (2015)}$$

Total Cross Section

(J Brochero @ TOP2014)

$$\sigma_{t\bar{t}}^{\mu e}(\sqrt{s}=7 \text{ TeV}) = 182.9 \pm 3.1(\text{stat.}) \pm 4.2(\text{syst.}) \pm 3.6(\mathcal{L}) \pm 3.3(\text{beam}) \text{ pb}$$

$$\sigma_{t\bar{t}}^{\mu e}(\sqrt{s}=8 \text{ TeV}) = 242.4 \pm 1.7(\text{stat.}) \pm 5.5(\text{syst.}) \pm 7.5(\mathcal{L}) \pm 4.2(\text{beam}) \text{ pb}$$

$$R_{t\bar{t}} = 1.326 \pm 0.024(\text{stat.}) \pm 0.015(\text{syst.}) \pm 0.049(\mathcal{L}) \pm 0.001(\text{beam})$$

$$\delta\sigma_{t\bar{t}}/\sigma_{t\bar{t}} \sim 3.9\%$$

$$\delta\sigma_{t\bar{t}}/\sigma_{t\bar{t}} \sim 4.2\%$$

$p_T^\ell \text{ (GeV)}$	$ \eta^\ell $	Fiducial cross section (including $W \rightarrow \tau \rightarrow \ell \nu$)	
		$\sqrt{s} = 7 \text{ TeV (pb)}$	$\sqrt{s} = 8 \text{ TeV (pb)}$
> 25	< 2.5	$2.615 \pm 0.044 \pm 0.056 \pm 0.052 \pm 0.047$	$3.448 \pm 0.025 \pm 0.069 \pm 0.107 \pm 0.059$
> 30	< 2.4	$2.029 \pm 0.034 \pm 0.043 \pm 0.040 \pm 0.036$	$2.662 \pm 0.019 \pm 0.054 \pm 0.083 \pm 0.046$

Uncertainty	$\Delta\sigma_{t\bar{t}}/\sigma_{t\bar{t}} \text{ (%)}$	
	7 TeV	8 TeV
\sqrt{s}		
Data statistics	1.69	0.71
$t\bar{t}$ modelling and QCD scale	1.46	1.26
Parton distribution functions	1.04	1.13
Background modelling	0.83	0.83
Lepton efficiencies	0.87	0.88
Jets and b -tagging	0.58	0.82
Misidentified leptons	0.41	0.34
Analysis systematics ($\sigma_{t\bar{t}}$)	2.27	2.26
Integrated luminosity	1.98	3.10
LHC beam energy	1.79	1.72
Total uncertainty	3.89	4.27

fiducial space is O(1%) of full space

- **Dominated by “External” Syst:**
Lumi and E_b , then $t\bar{t}$ modelling & scales

$$R_{t\bar{t}}^{\text{Theory}}(7/8 \text{ TeV}) = 1.430 \pm 0.013(\text{PDF} + \alpha_s) + \pm 0.001(\text{scale})$$

$$\frac{d\sigma_{t\bar{t}}}{dm_t} = -0.28\% \text{ per GeV}$$

← *useful to compare with theory*

Using top quarks as gluon luminometers

ATLAS-CONF-2015-049

9

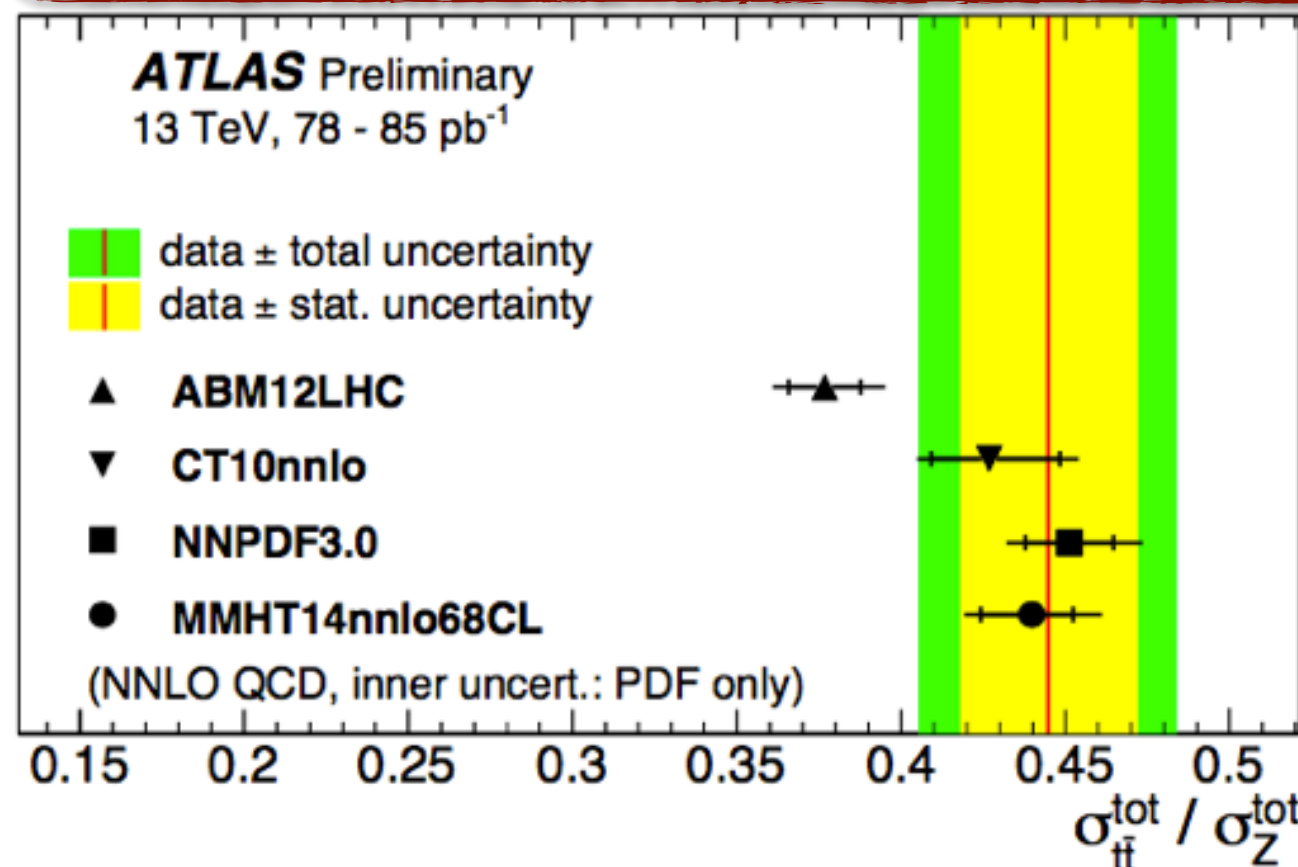
- Ratios of cross sections are expected to cancel out some of the systematic uncertainties
 - compare to SM predictions : test parton luminosities, search for new physics effects

• *Possibly replace with CMS precise measurement..*

- improves on luminosity (1%), trigger/lepton selection efficiencies (2.2%)
- uncertainties in Z/tt modelling and backgrounds are similar

*(Pedro Ferreira da Silva
@ Moriond 2016)*

$$R_{t\bar{t}/Z}^{\text{CT10nnlo}} = 0.427^{+0.022}_{-0.013} \text{ (PDF)} \quad {}^{+0.012}_{-0.016} \text{ (QCD scale)} \quad {}^{+0.005}_{-0.004} (\alpha_s)$$



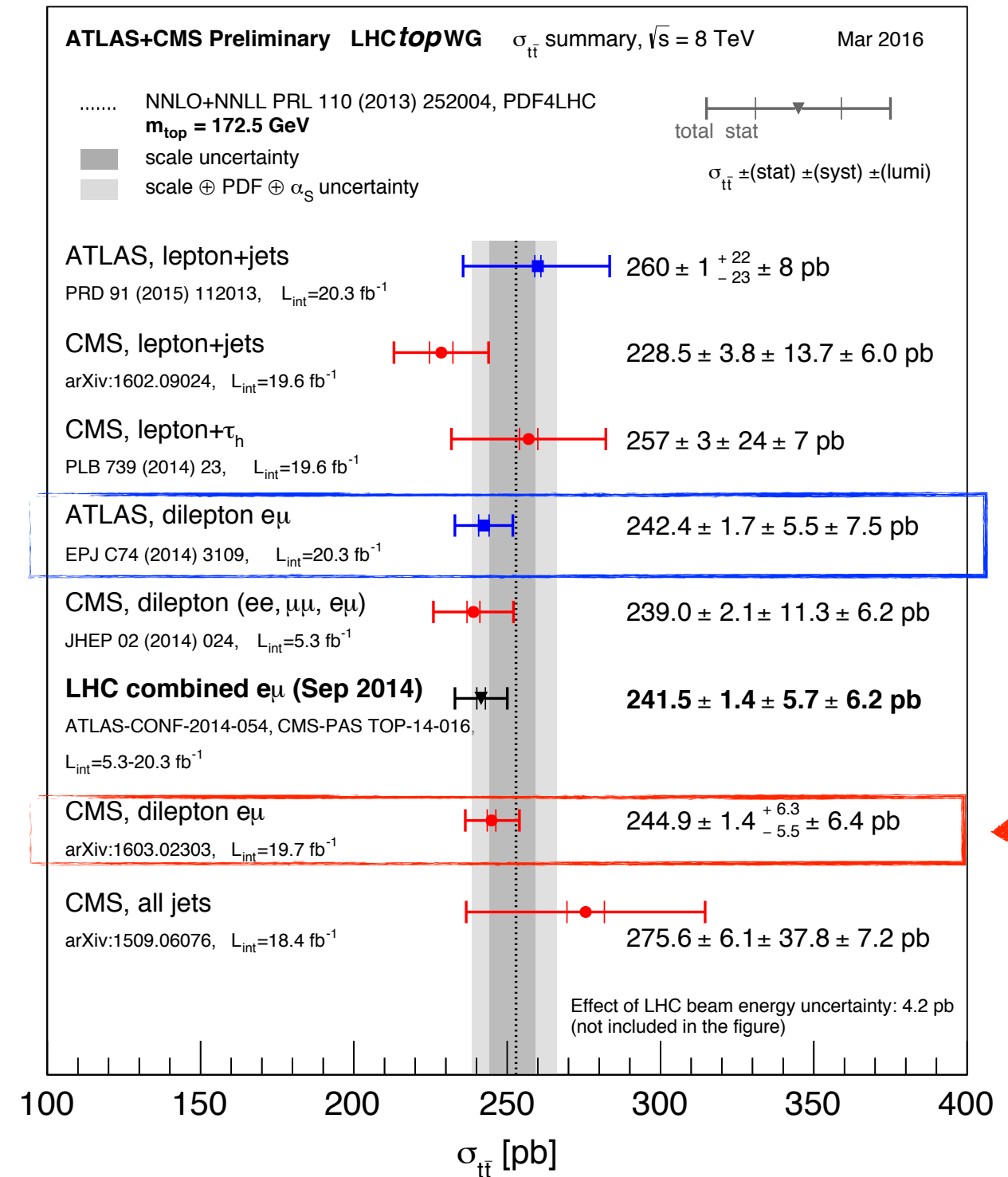
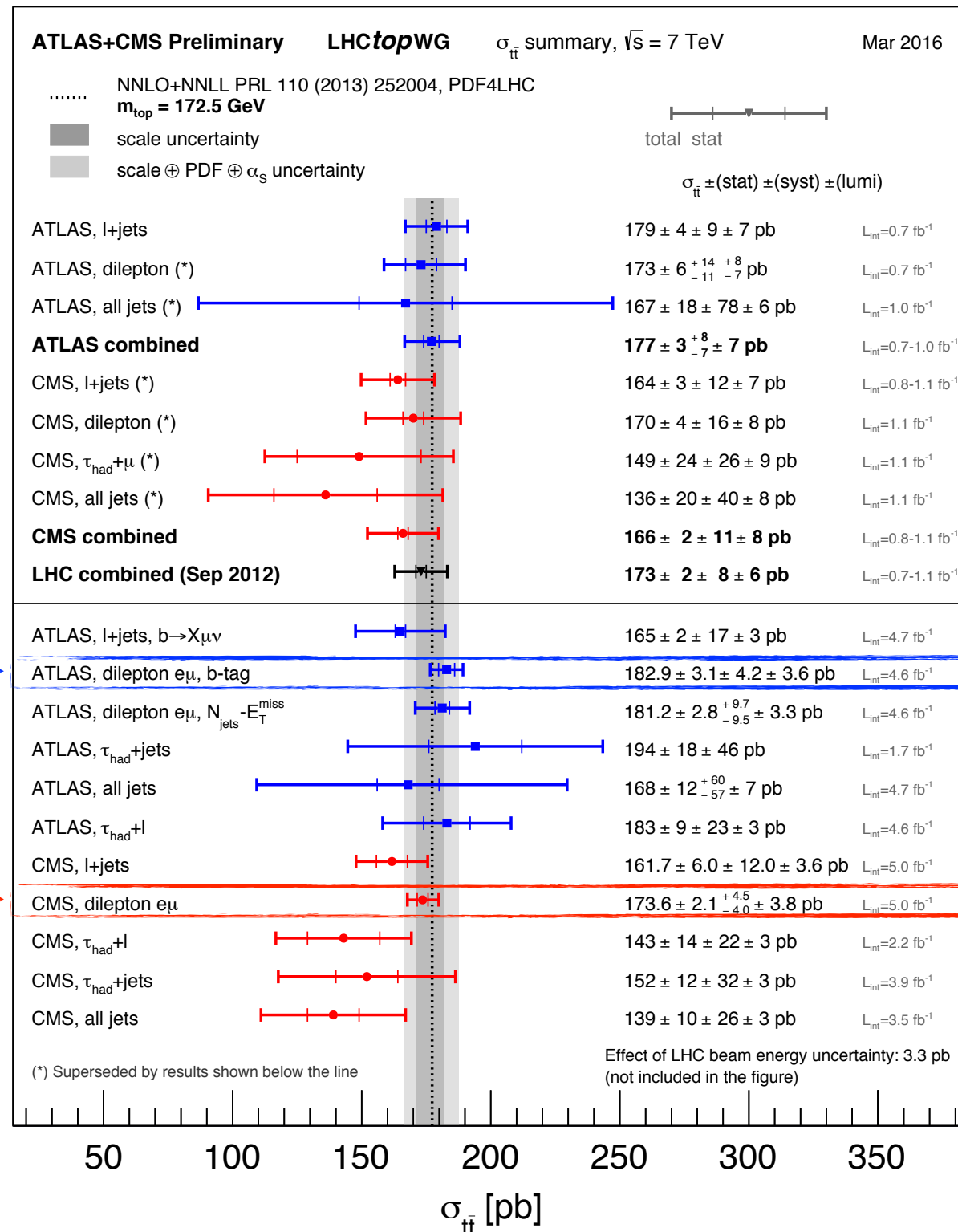
- PDF predictions tested mostly compatible with data
 - 2 σ tension with prediction based on ABM12LHC (smaller gg density)
- Still large room to explore different ratios in Run 2, also at different $s^{1/2}$, to constraint further PDFs*

Inclusive $\sigma_{t\bar{t}}$ - Summary at $\sqrt{s} = 7 \text{ \& } 8 \text{ TeV}$

Systematics dominated, similar to/smaller than theory uncertainty

Fair agreement with NNLO+NNLL over all final states

ATLAS & CMS Public summary plots



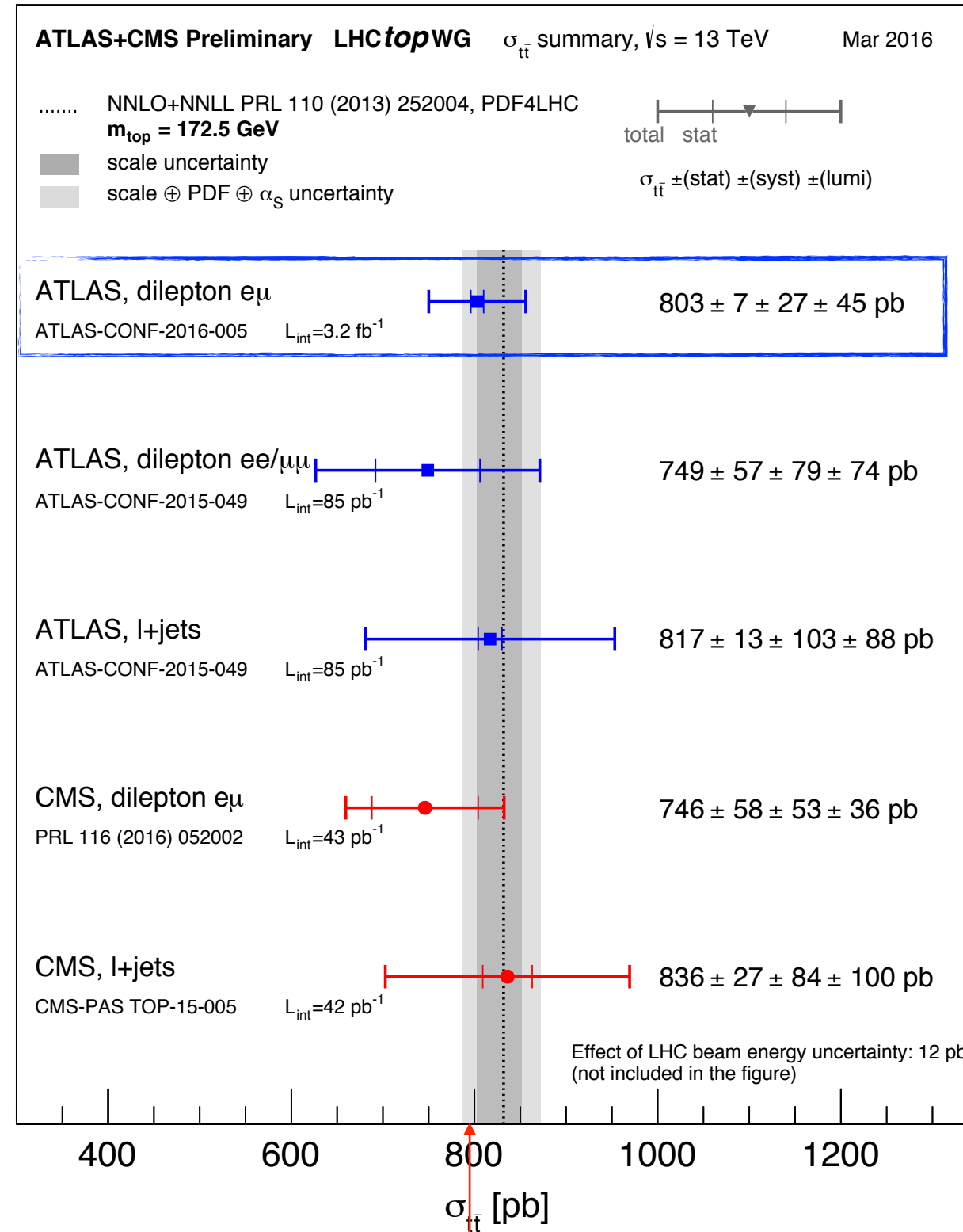
Dilepton single measurements achieve $\delta\sigma_{t\bar{t}}/\sigma_{t\bar{t}} \sim 3$ ($\sim 3.7\%$)% at 7 (8) TeV

Improving upon past LHC combinations that achieved $\delta\sigma_{t\bar{t}}/\sigma_{t\bar{t}} \sim 5.8(3.5)\%$ at 7 (8) TeV

Inclusive $\sigma_{t\bar{t}}$ - Summary at $\sqrt{s} = 13$ TeV

Systematics dominated

- Dilepton results lead in precision (again)
- Good agreement with NNLO+NNLL



at 13 TeV uncertainties are already as low as $\delta\sigma_{t\bar{t}}/\sigma_{t\bar{t}} \sim 6.5\%$

ATLAS & CMS Public summary plots

CMS-PAS-TOP-16-005

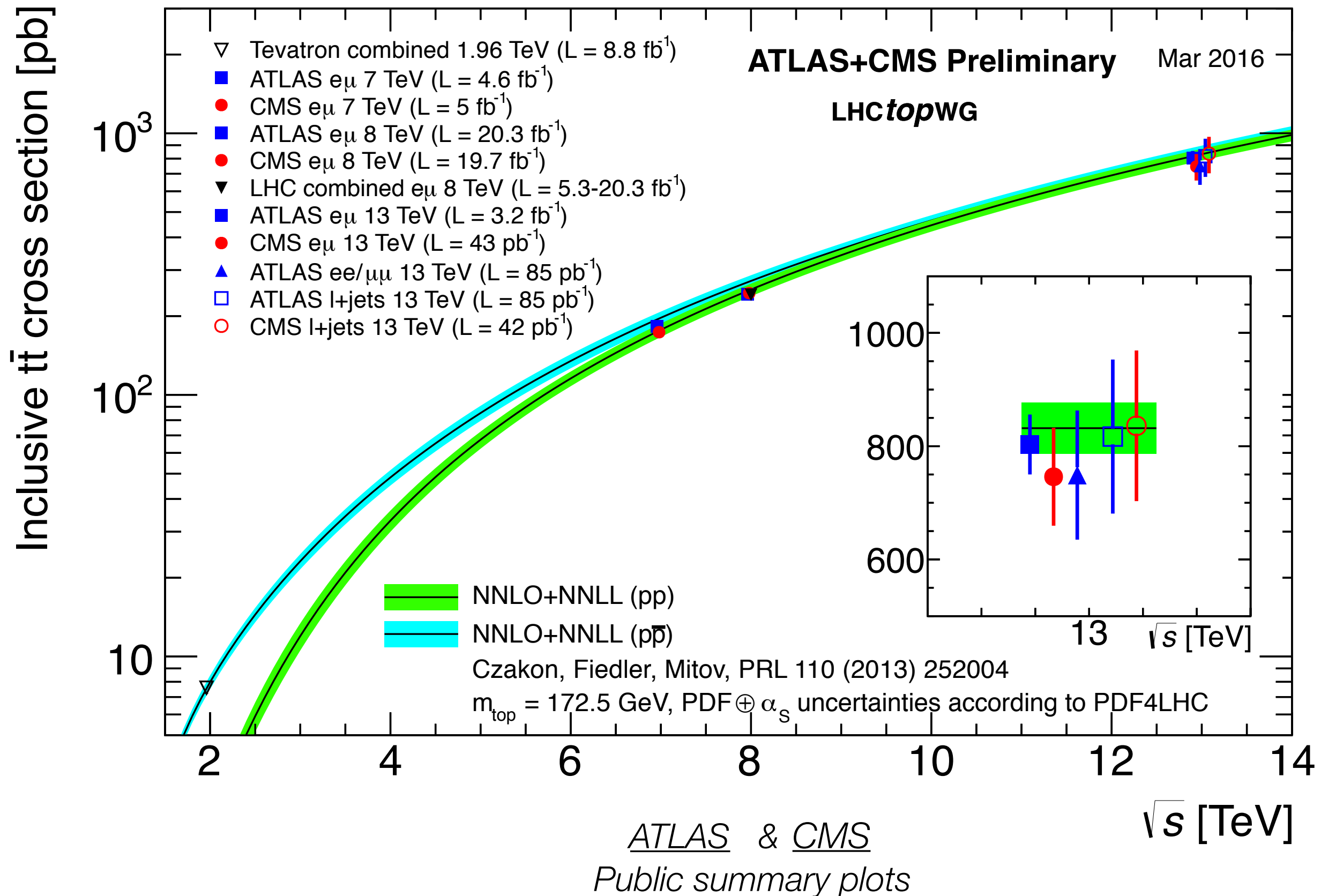
$$\sigma_{t\bar{t}} = 793 \pm 8 (\text{stat}) \pm 38 (\text{syst}) \pm 21 (\text{lumi}) \text{ pb}$$

$\int L dt \sim 2.2 \text{ fb}^{-1} (2015)$

$\delta\sigma_{t\bar{t}}/\sigma_{t\bar{t}} \sim 5.6\%$

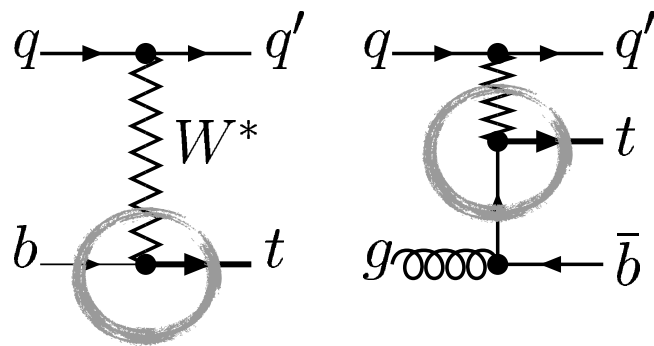
Inclusive $\sigma_{t\bar{t}}$ vs \sqrt{s} - LHC & Tevatron

good agreement with NNLO+NNLL over 2 orders of magnitude

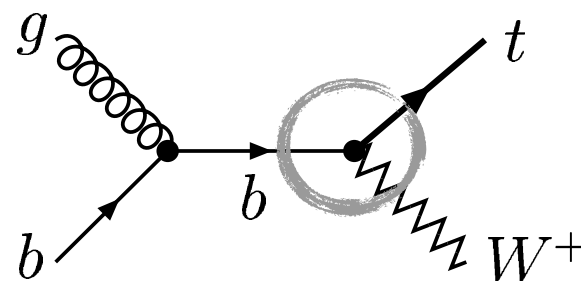


Single top production

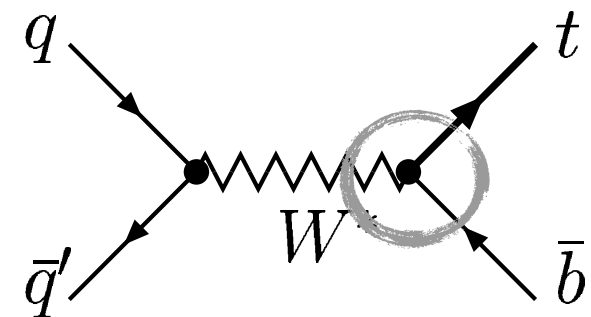
t-chan



Wt chan



s-chan



$$\text{cross section} \sim |f_{LV} \cdot V_{tb}|^2$$

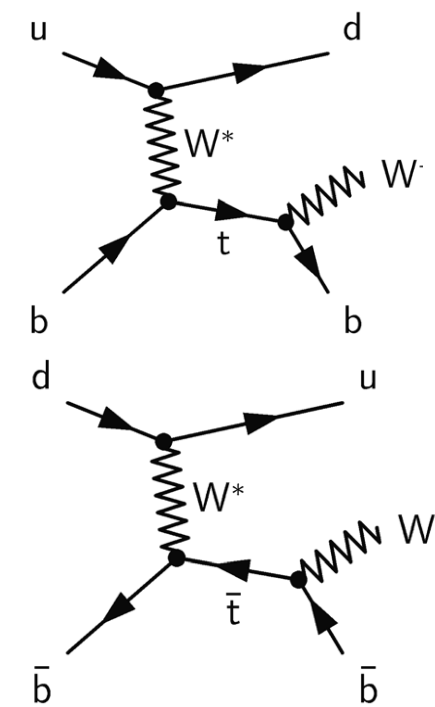
left handed form factor CKM matrix element



only direct determination of $|f_{LV} \cdot V_{tb}|$
explore PDF for u and d quark separately

Inclusive σ_t : t-chan @ $\sqrt{s} = 13$ TeV

- **1 isol. μ , 2 jets** with $|\eta| < 3.5$, large E_T^{miss} and $m_T(W)^* \rightarrow$ fake lep. veto, **1 b-tag**, *additional lepton iso*
- Bkg: *simulated $t\bar{t}/Wt/s$ -chan, W/Z +jets, data-driven fake lep (sample with inverted muon quality cuts)*
- **Extract number of t-chan events, ν_t , by binned max. likelihood fit of Neural Network output to data**
 - **Computational scheme for pattern recognition**
 - **Train on expectation from 10 kinematic variables** (*jet-lep & jet-b masses, jet η , top/W-jet angles..*)
- **Calculate cross section σ_t with full phase space efficiency**



ATLAS-CONF-2015-079

$\int L dt = 3.2 \text{ fb}^{-1}$ (2015)

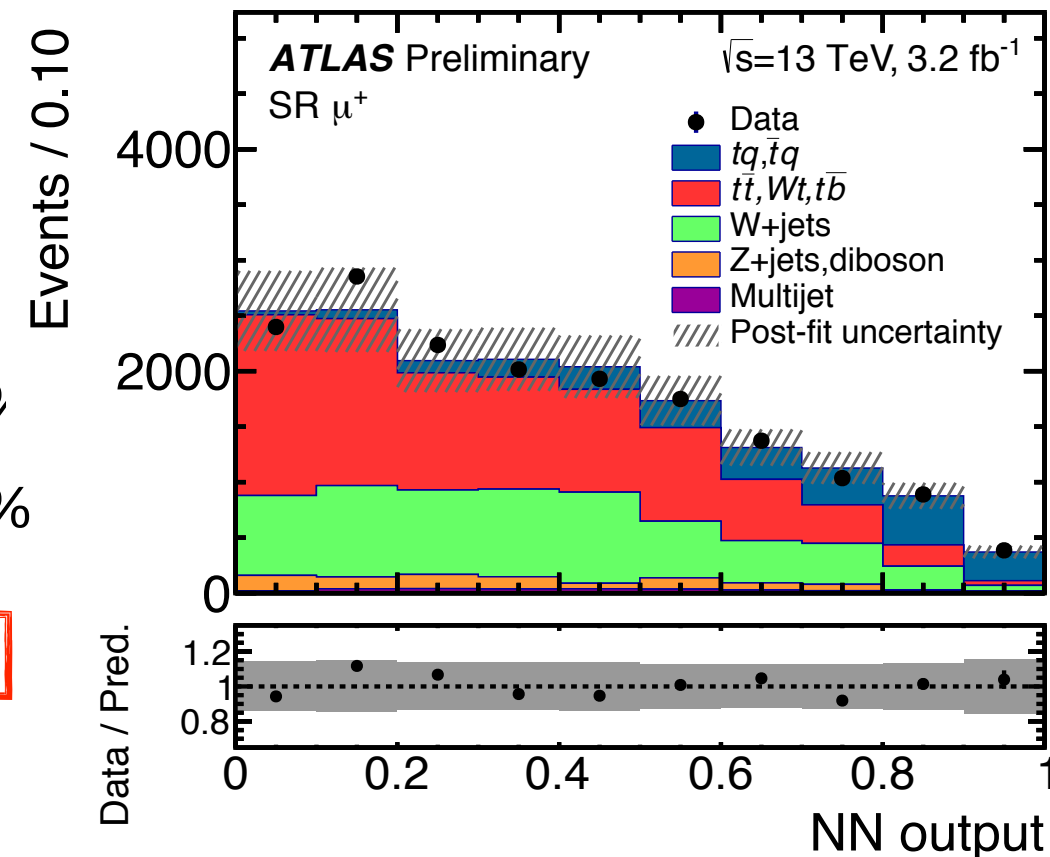
$$\begin{aligned} \sigma(tq) &= 133 \pm 6 \text{ (stat.)} \pm 24 \text{ (syst.)} \pm 7 \text{ (lumi.) pb} & \delta\sigma_t/\sigma_t \sim 19\% \\ \sigma(\bar{t}q) &= 96 \pm 5 \text{ (stat.)} \pm 23 \text{ (syst.)} \pm 5 \text{ (lumi.) pb} & \delta\sigma_t/\sigma_t \sim 25\% \end{aligned}$$

$$|f_{LV} \cdot V_{tb}| = 1.03 \pm 0.02 \text{ (stat.)} \pm 0.11 \text{ (syst.)} \pm 0.02 \text{ (theor.)} \pm 0.03 \text{ (lumi.)}$$

if $f_{LV} = 1$ & $|V_{tb}|$ in $[0,1] \rightarrow |V_{tb}| > 0.78$ at 95 % CL

syst dominated

t-chan generator ~11-15%, b-tag efficiency ~7%,

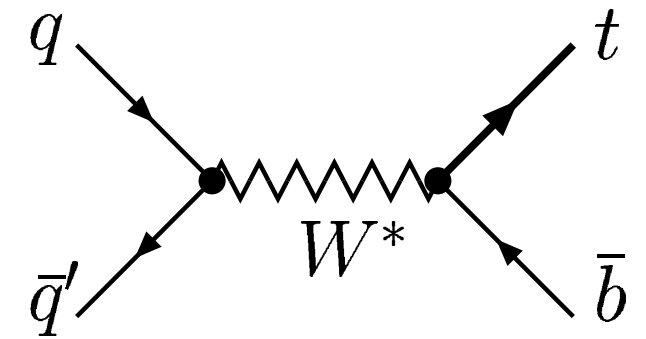


$$*m_T(W) = \sqrt{2 \left[p_T(\ell) E_T^{\text{miss}} - \vec{p}_T(\ell) \cdot \vec{E}_T^{\text{miss}} \right]}$$

Inclusive and fiducial σ_t : s-chan $\sqrt{s} = 8$ TeV

(Marina Cobal @ La Thuile 2016)

$\sigma(t)$ in the s-channel @ 8 TeV

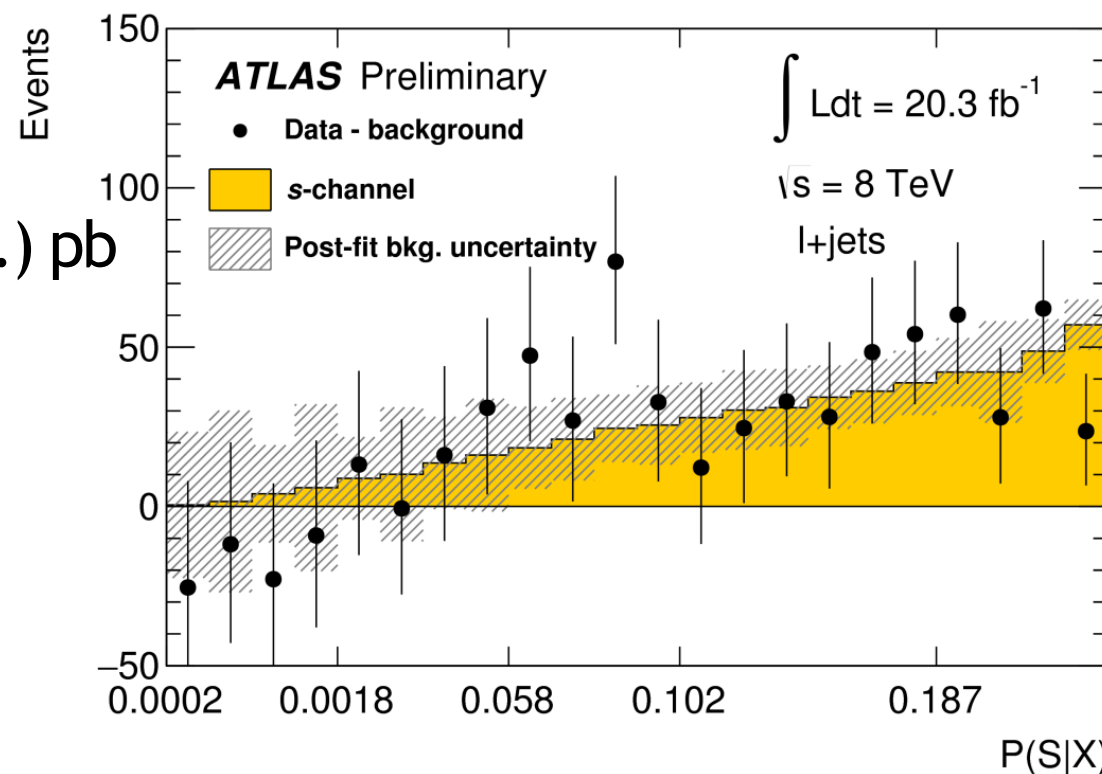


- Lepton+jets selection with 2 b-jets and large ETMiss
- Build Matrix Element discriminant for each selected event
- s-channel vs t-channel, tt, W+jets
- Template fit in signal and control regions

This one from ATLAS

$$\sigma = 4.8 \pm 1.1(\text{stat.})^{-2.0}_{+2.2}(\text{syst.}+\text{lumi.}) \text{ pb}$$

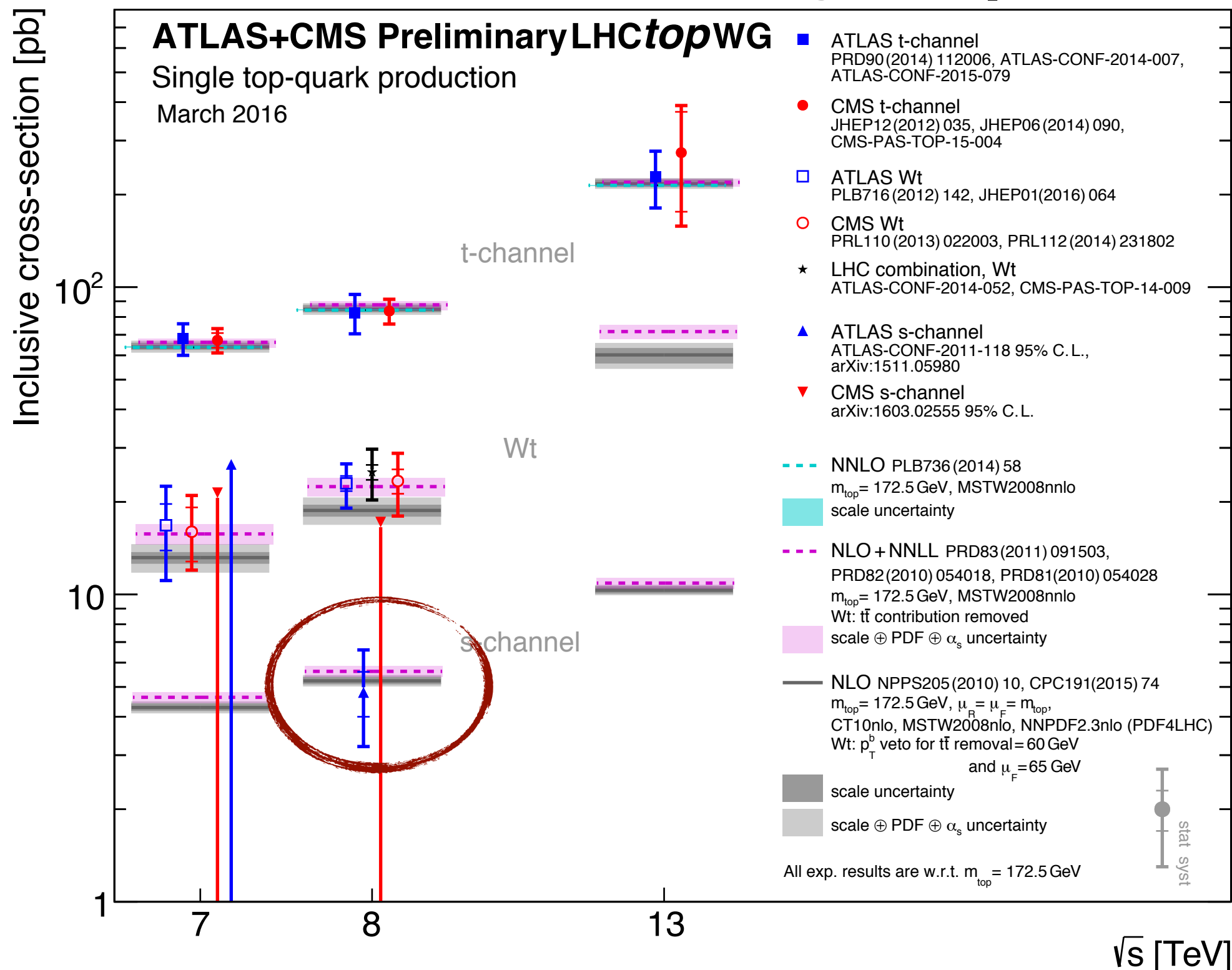
Observed (expected)
significance: 3.2σ (3.9σ)



First evidence of single-top s-channel production at the LHC!

7 7

Inclusive σ_t - Summary at $\sqrt{s} = 7$ & 8 TeV



All results consistent with approx NNLO predictions

t-channel and Wt channels are observed at LHC, evidence for s-channel (observed at Tevatron in 2014 PRL112 231803 (2014))

*ATLAS & CMS
Public summary plots*

- ATLAS + CMS t-chan combination at $\sqrt{s} = 8$ TeV

$$\int L dt = \mathbf{5.8 (5.0) fb^{-1} (2012)}$$

CMS-PAS-TOP-12-002

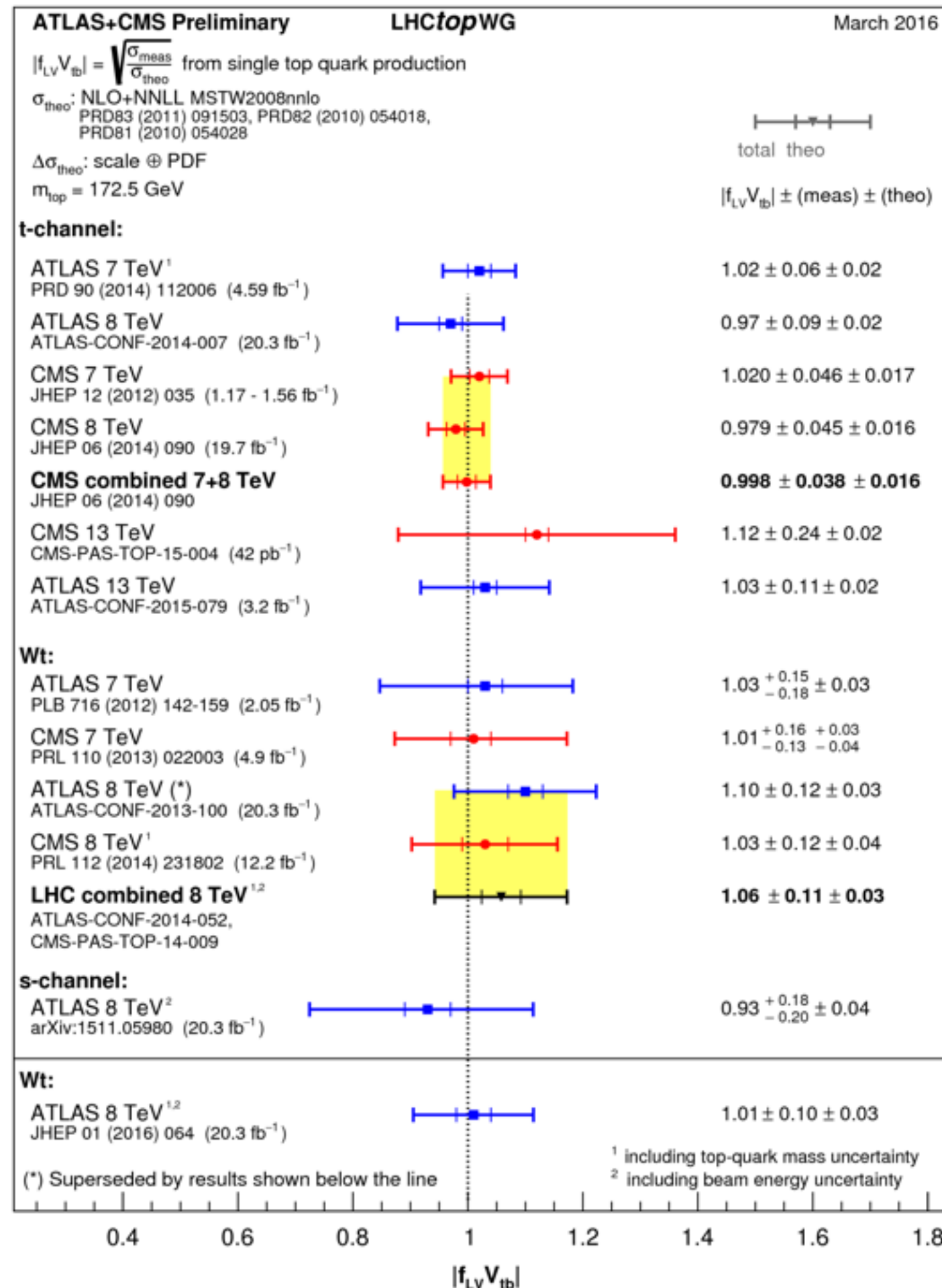
ATLAS-CONF-2013-098

$$\sigma_{t\text{-ch.}} = 85 \pm 4 (\text{stat.}) \pm 11 (\text{syst.}) \pm 3 (\text{lumi.}) \text{ pb}$$

$$\delta\sigma_t/\sigma_t \sim 14\%$$

$|f_{LV} \cdot V_{tb}|$ summary

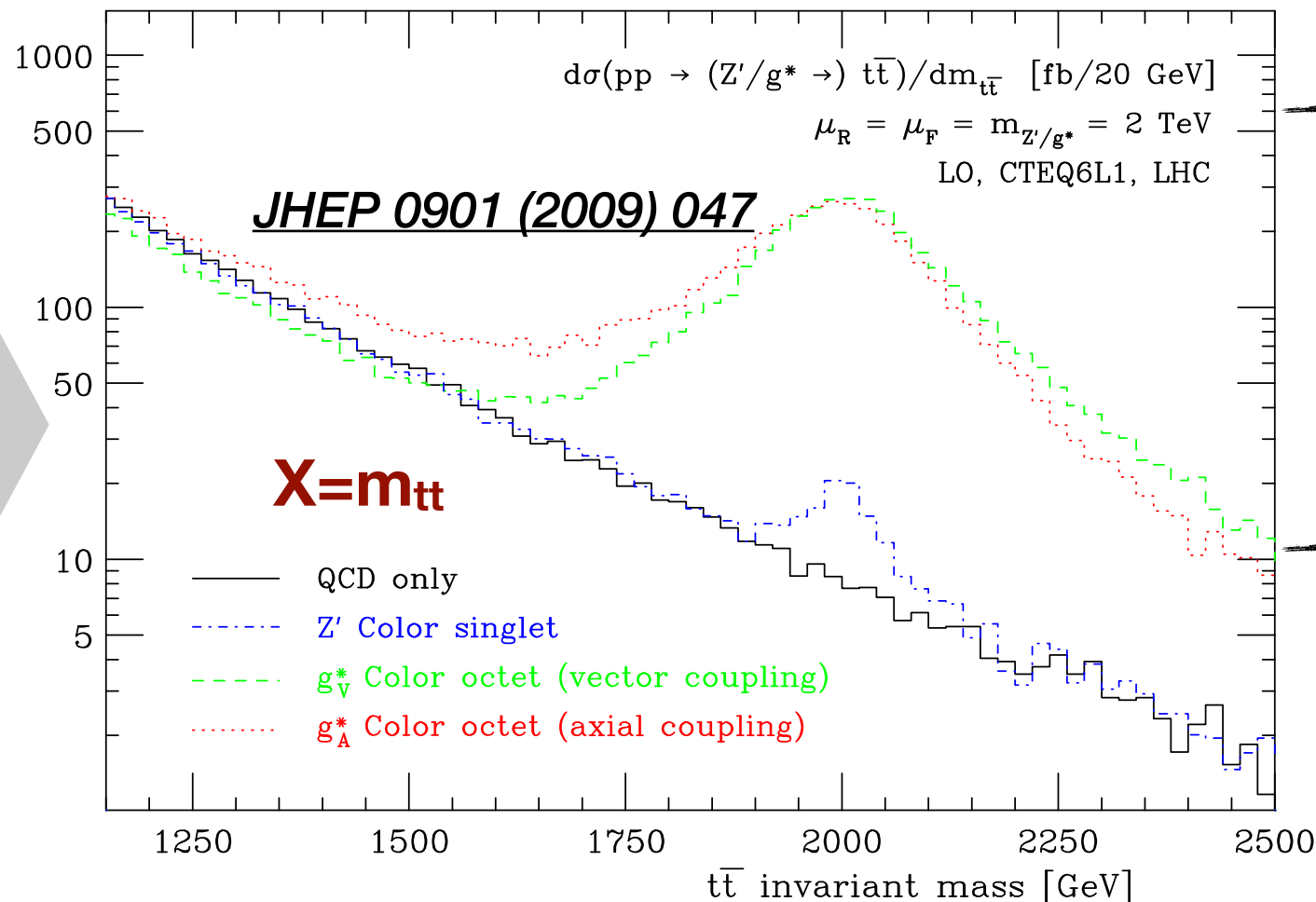
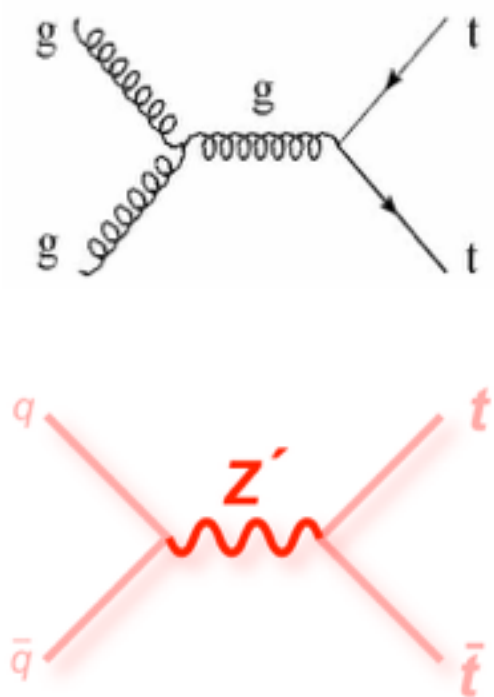
*ATLAS & CMS
Public summary plots*



To explore **elusive and/or heavy new physics** with top quarks **@LHC**

Measure $d\sigma_{t\bar{t}}/dX$

- **LHC is a top factory**



→ **sensitive to many new physics models**
complement specific searches

→ **explore kinematics → reduce t/\bar{t} modelling uncertainties**

probe parton dist. functions (high x gluon)

↓
use new reconstruction/recognition techniques

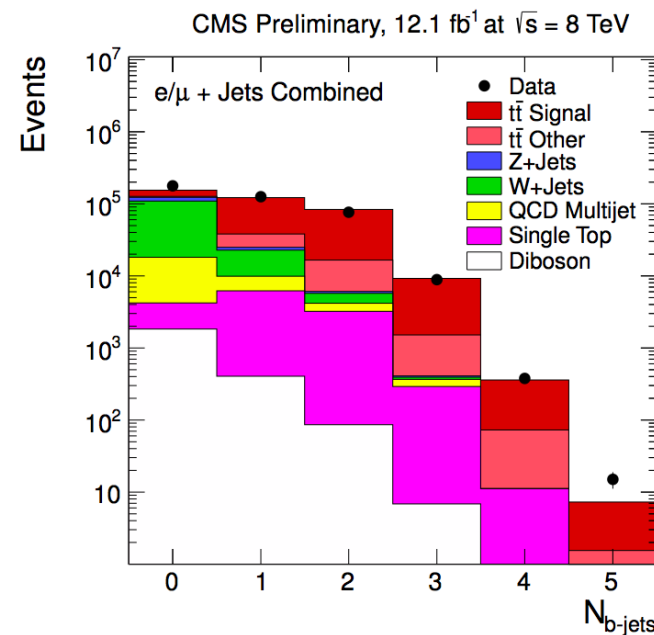
provide info on Parton Dist Functions

high energy gluons

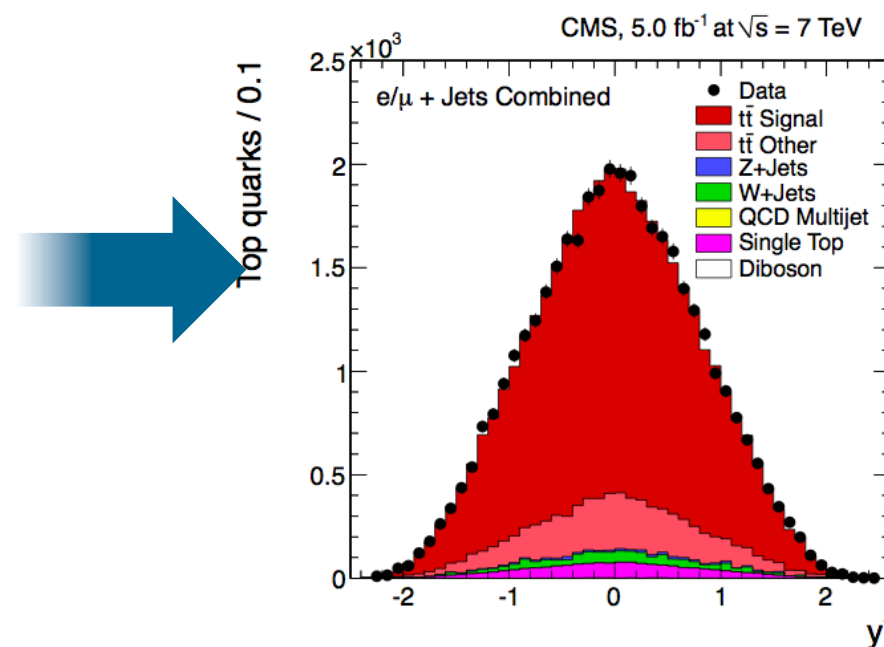
Going differential for $\sigma_{t\bar{t}}$!

Measure $\sigma(t\bar{t})$ as a function of kinematic distributions of **top, top pairs, b-jets, leptons, and lepton pairs**

(1) Event selection



(2) $t\bar{t}$ kinematic reconstruction



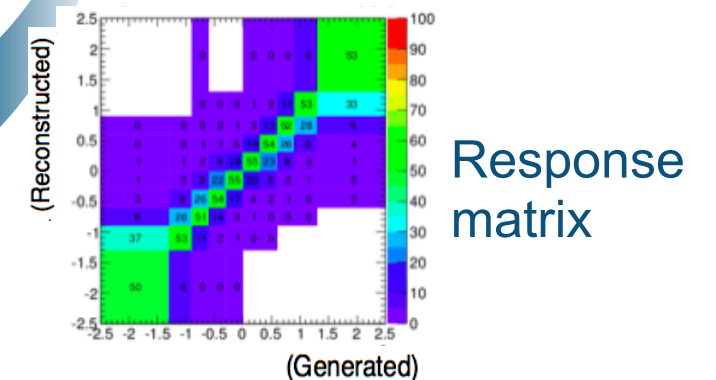
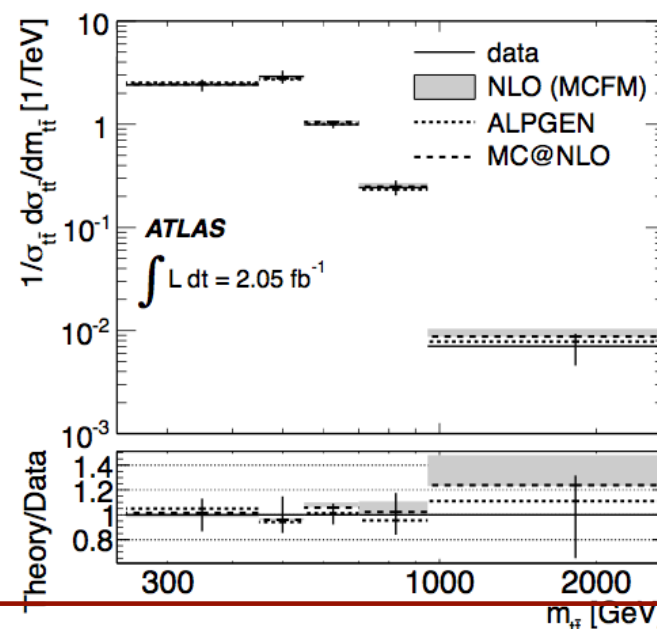
(3) Bin-wise cross section measurement

- Subtract background
- Unfolding: correct for detector effects and acceptance

$$\frac{1}{\sigma} \frac{d\sigma^i}{dX} = \frac{1}{\sigma} \frac{N_{\text{Data}}^i - N_{\text{BG}}^i}{\Delta_X^i \epsilon^i L}$$

(4) Differential $t\bar{t}$ cross sections

- Normalised to in-situ measured $\sigma(t\bar{t})$
- ‘Visible’ or extrapolated to full phase space
- Compare to theory predictions



Migrations due to detector resolution & biases

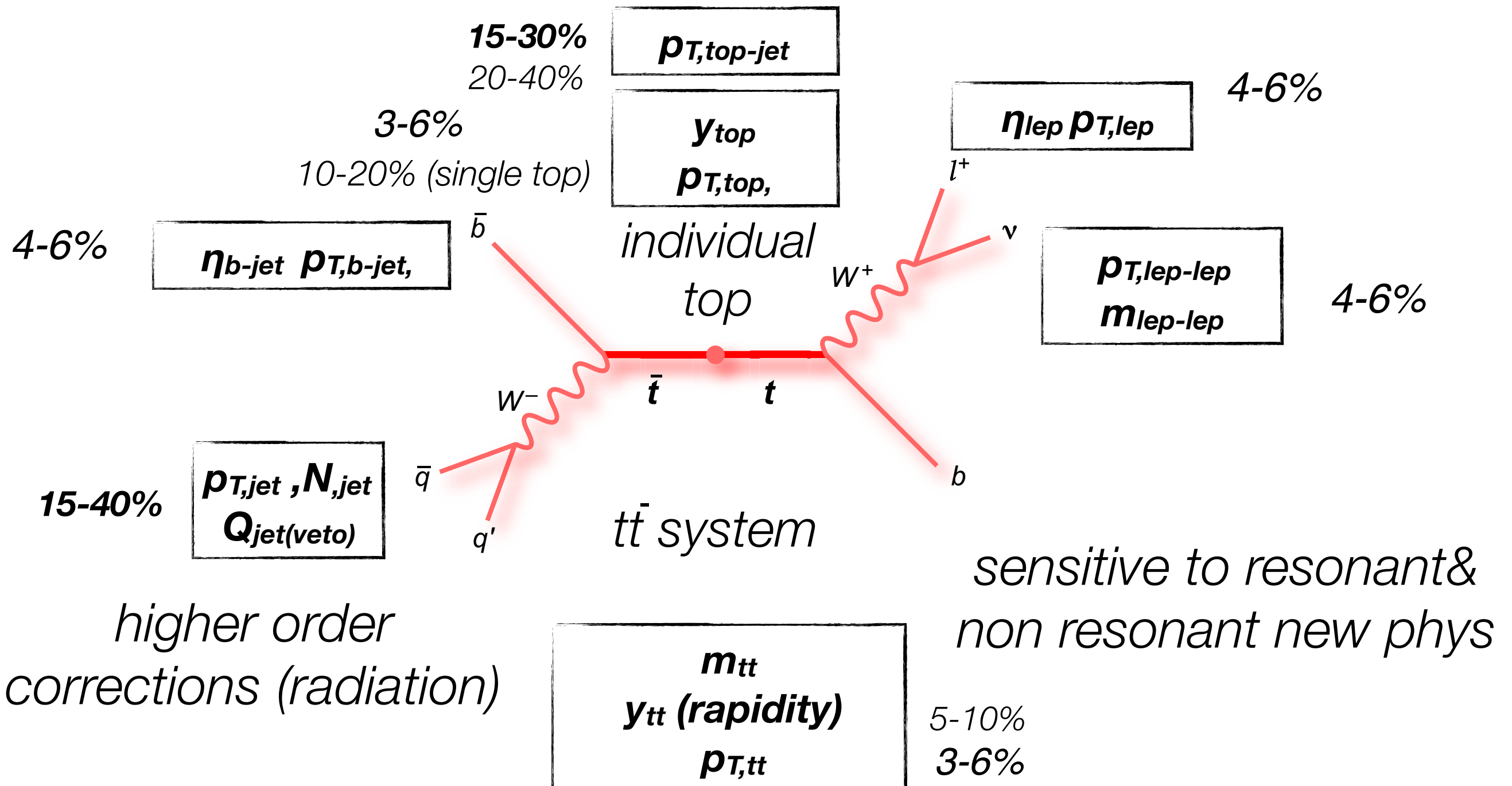
What we measured (*up to now*) in Run1: **X in $d\sigma_{(tt/t)}/dX$**



Overview of current results at LHC

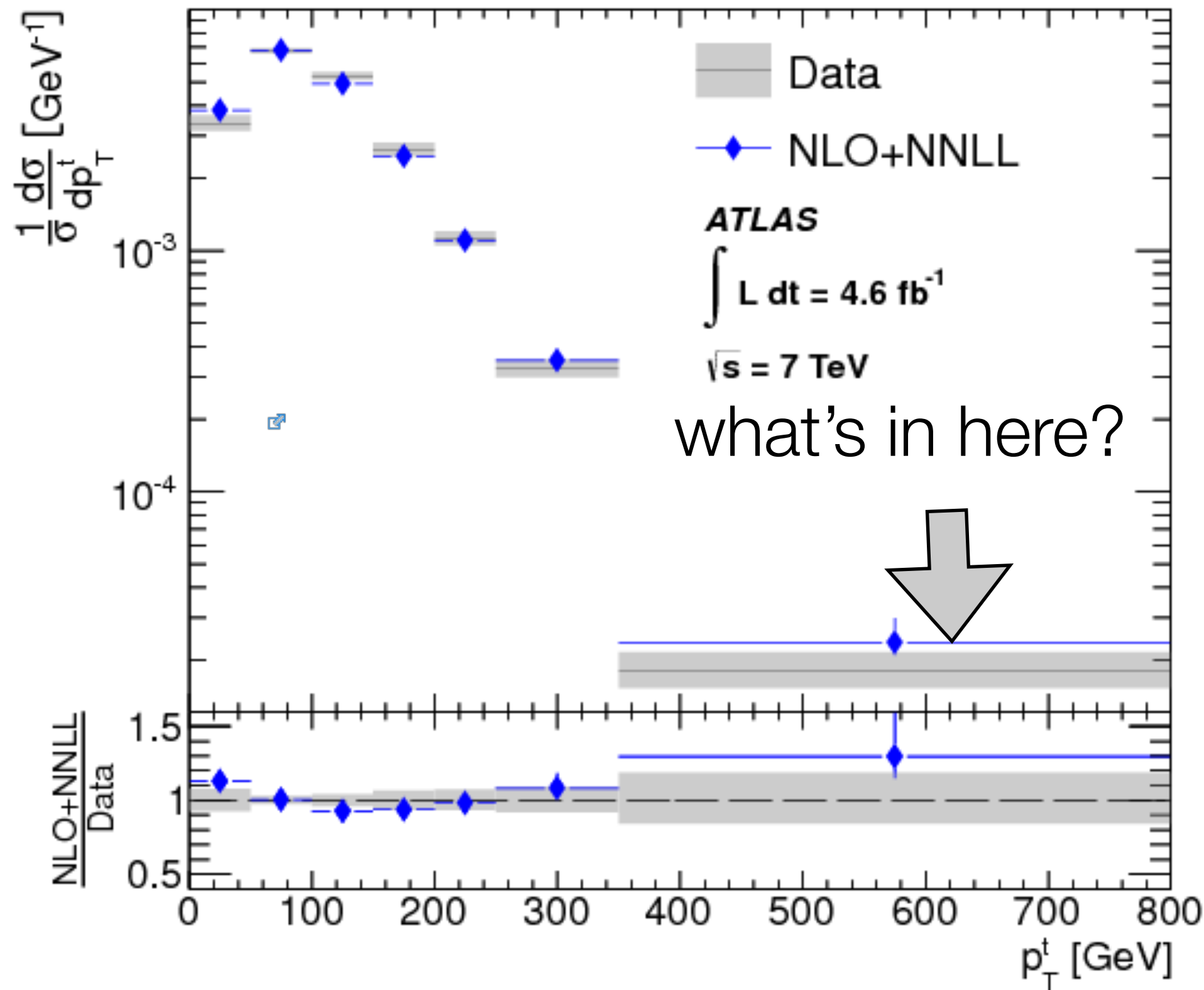


- Increasing variety of differential cross section results
 - More measurements in fiducial PS, exploiting particle-level object definition and pseudo-top
 - Pioneering results in boosted regime, first absolute differential cross sections appearing



Exploring top quark p_T : the emergence of boosted tops

[Phys. Rev. D 90, 072004](#)

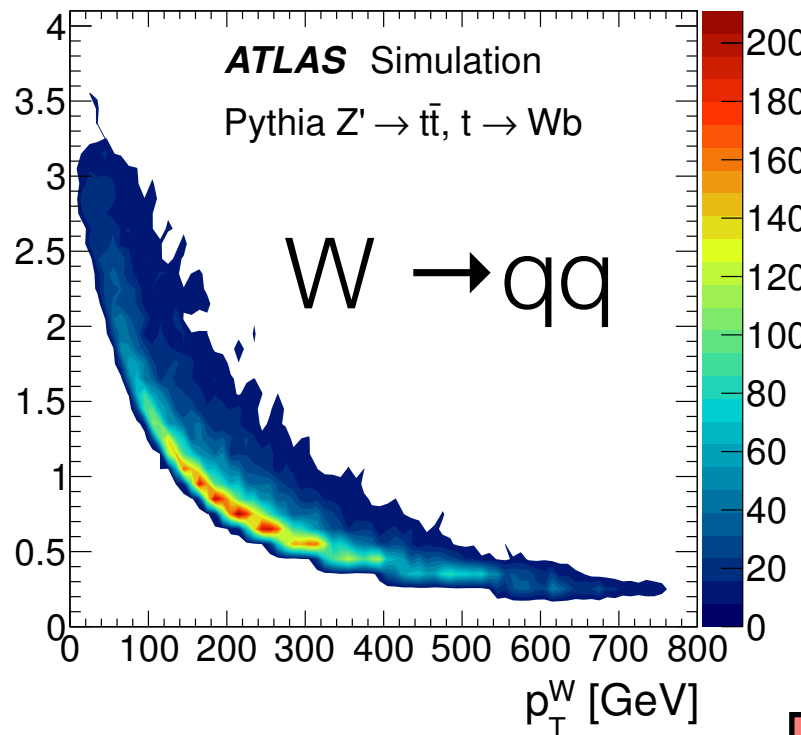


Exploring top quark p_T : the emergence of boosted tops

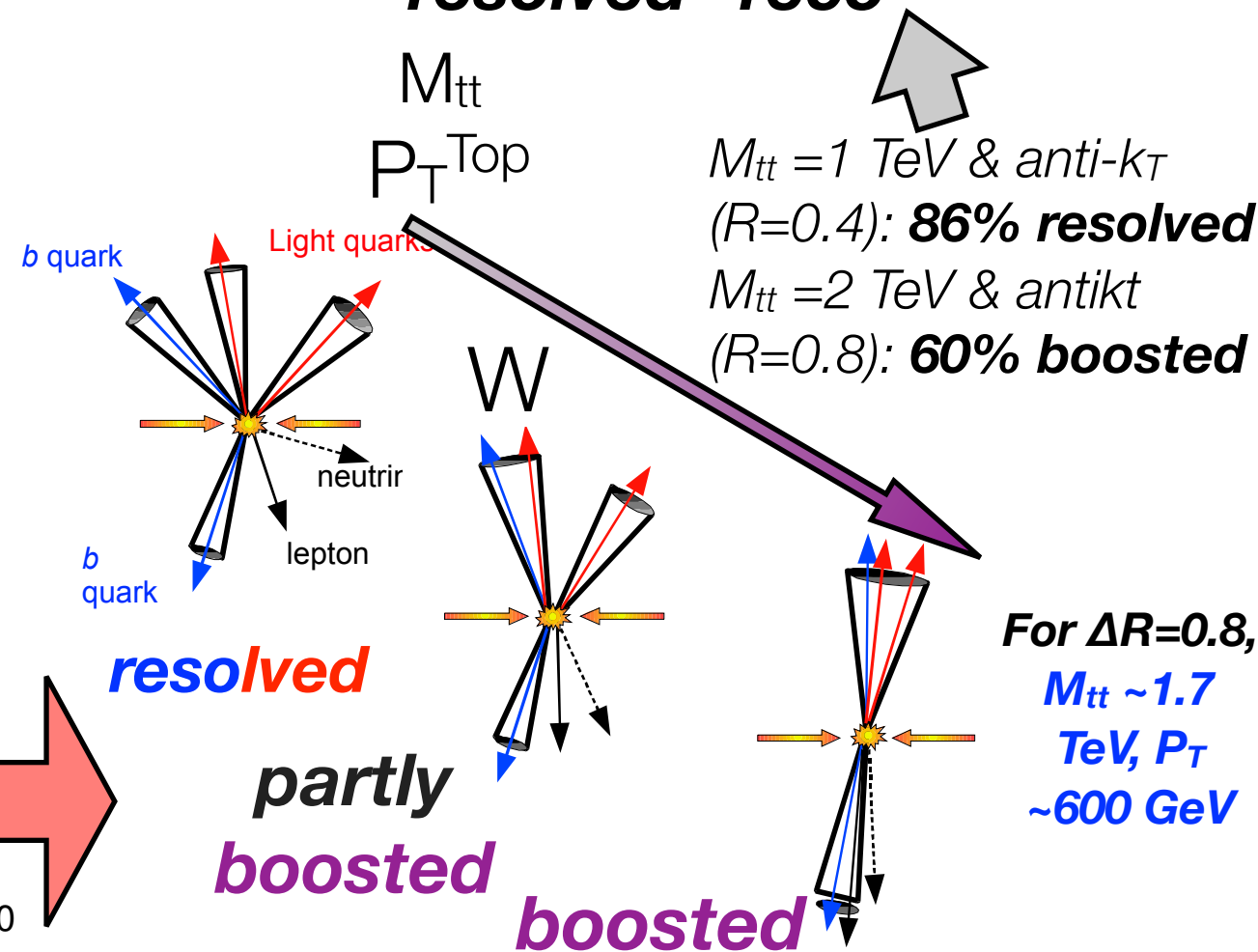
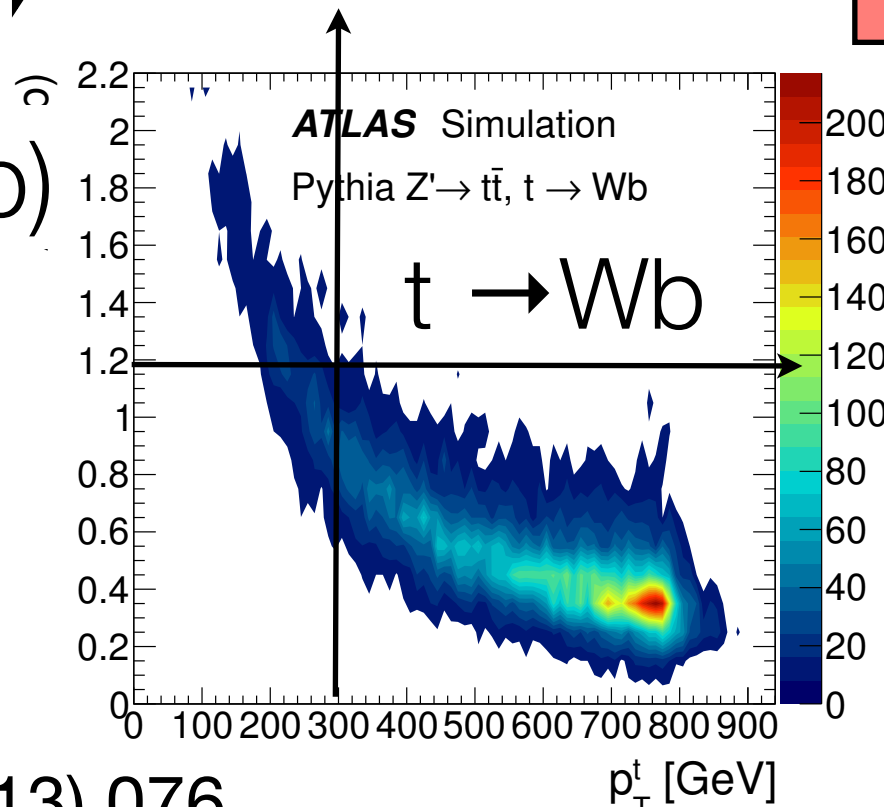
$$\Delta R(i,j \text{ from } X \rightarrow i,j) \sim 2m_X(i,j)/p_{T,X}$$

Reduced efficiency for
“resolved” reco

$$\Delta R(q,q)$$



$$\Delta R(W,b)$$


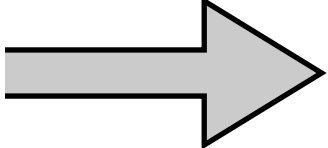


Need to **distinguish top-jet from light q -, gluon-initiated jets: di-jets**
bkg overwhelming fully had $t\bar{t}$ decays

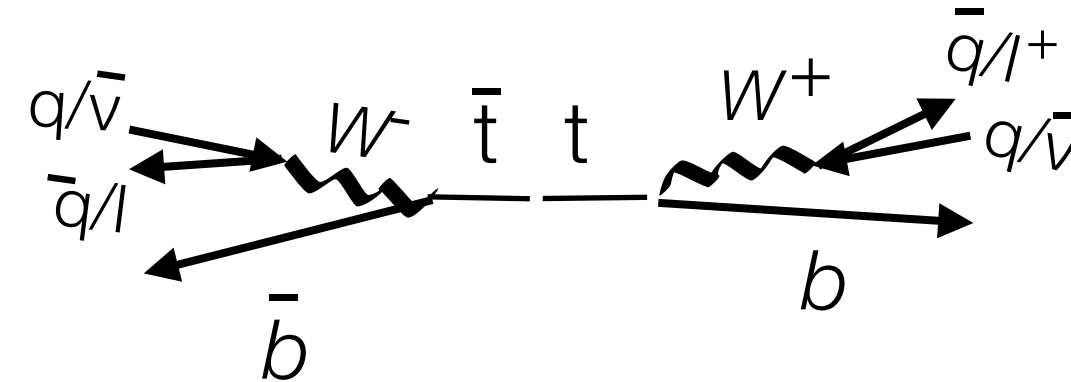
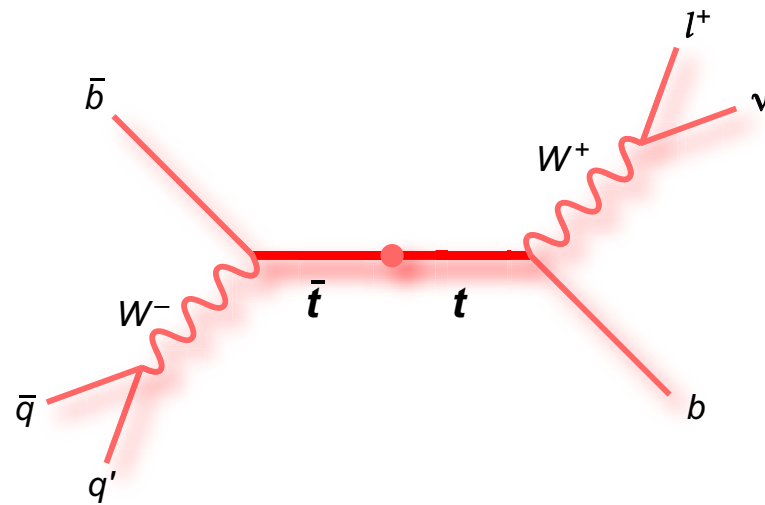
*Pile up & soft activity degrade
identification & energy estimate*

Exploring top quark p_T : the emergence of boosted tops

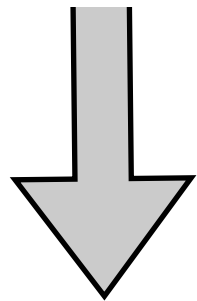
$$d\sigma_{tt,t}/dp_{T,top(-jet)}$$

“Resolved”  $map\ p_T$  “Boosted”

Parton



reduce
extrapolation



Particle

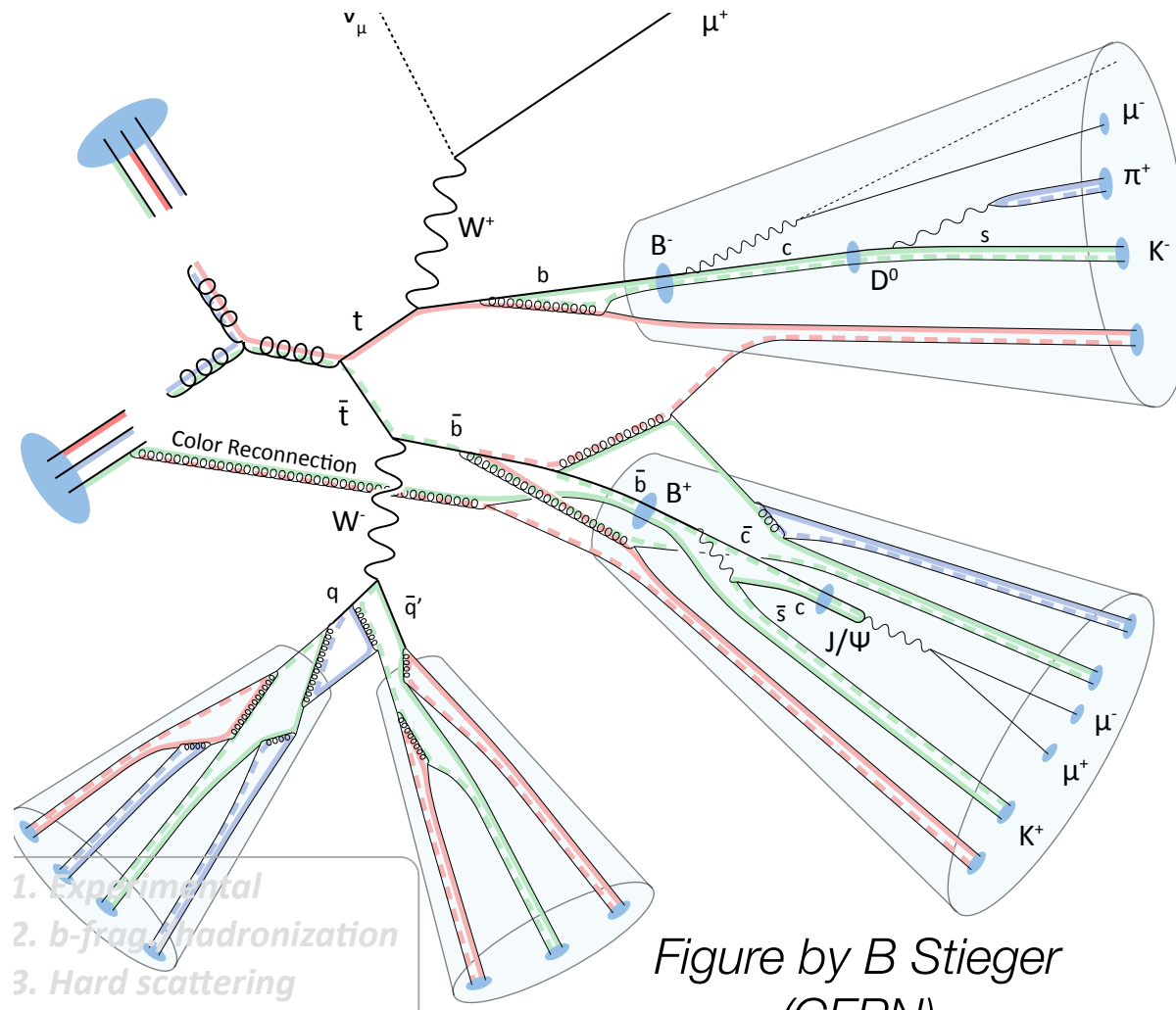
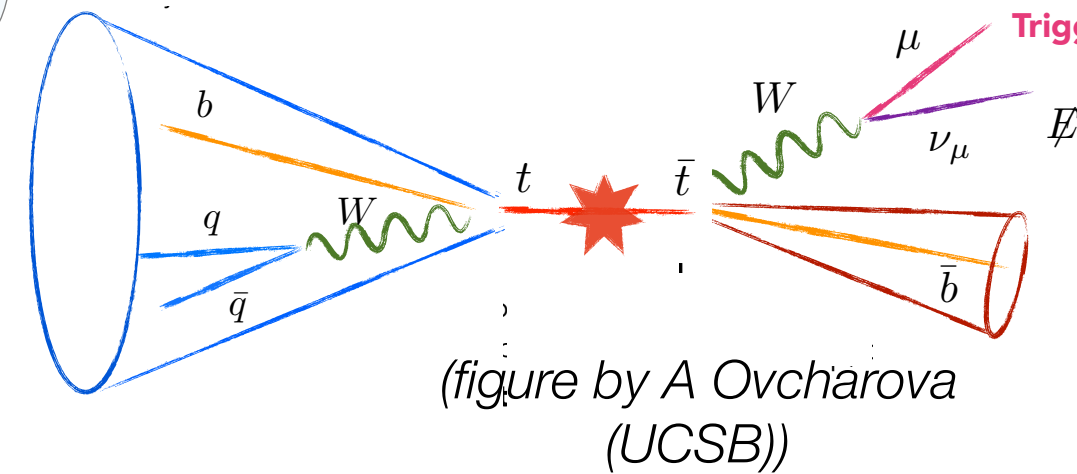


Figure by B Stieger
(CERN)



(figure by A Ovcharova
(UCSB))

1. Experimental
2. b -frag. hadronization
3. Hard scattering

How **to tag** a boosted hadronic top quark? (I)

Look into the jet substructure

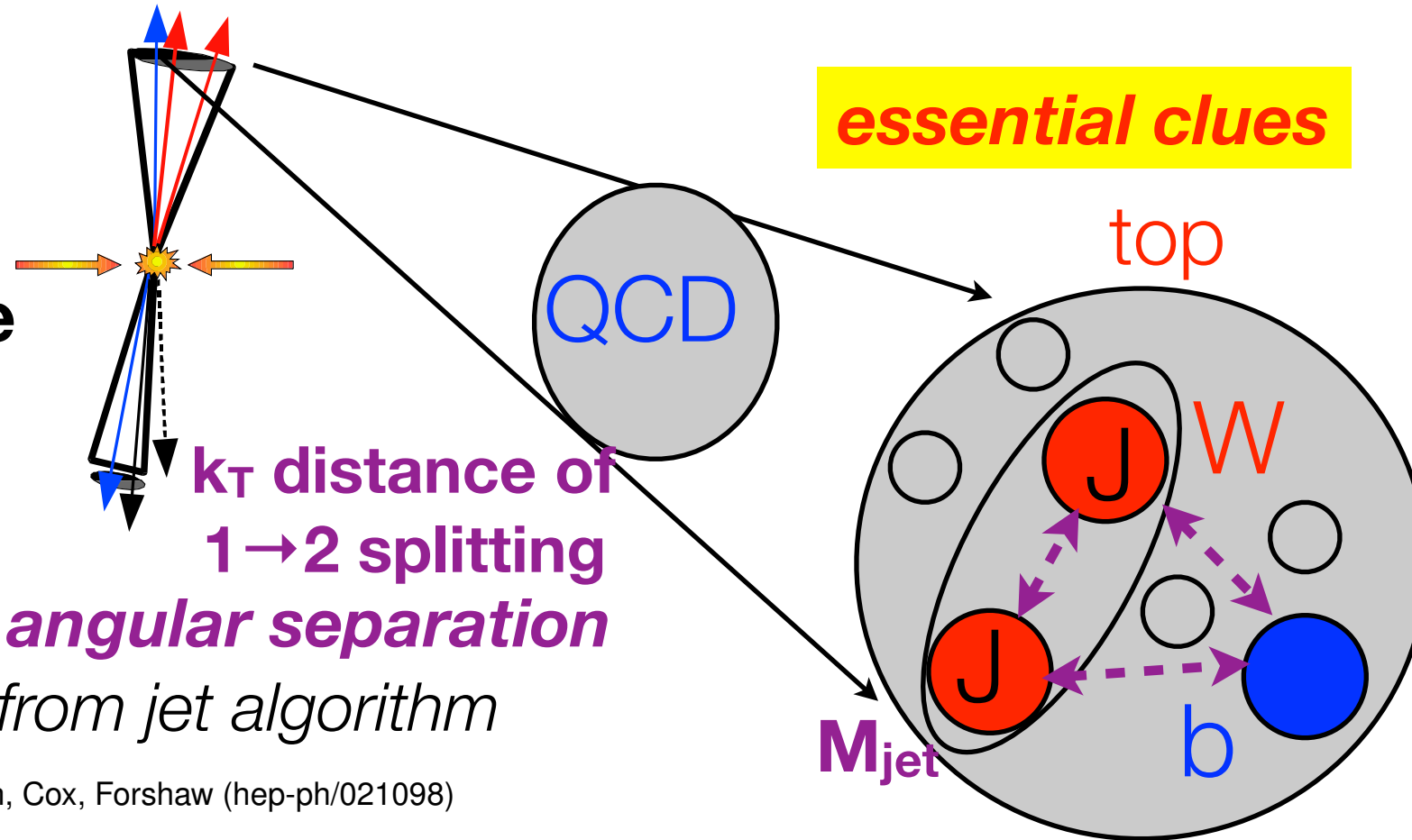
(see Jose Juknevich, TOP2013)

Basic

Use **jet mass** and **product of p_T^* angular separation** of two hardest jet constituents from jet algorithm

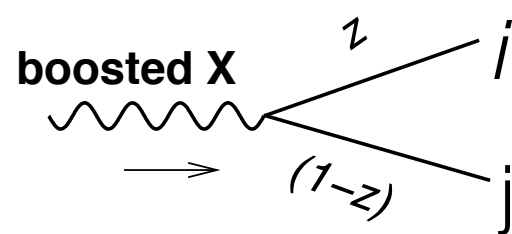
• **Splitting scales (ATLAS tagger)** Butterworth, Cox, Forshaw (hep-ph/021098)

- Read off k_T scales of the (next-to-)next-to-last clusterings
- Place cuts on jet mass and splitting scales



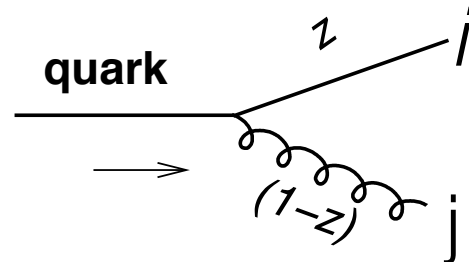
$$p_t = p_{ti} + p_{tj} \quad z = p_{tj} / p_t$$

Signal



$$P(z) \propto 1$$

Background



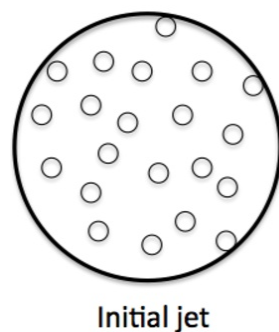
$$P_{aa} \propto \frac{1 + (1 - z)^2}{z}$$

in collinear soft limit

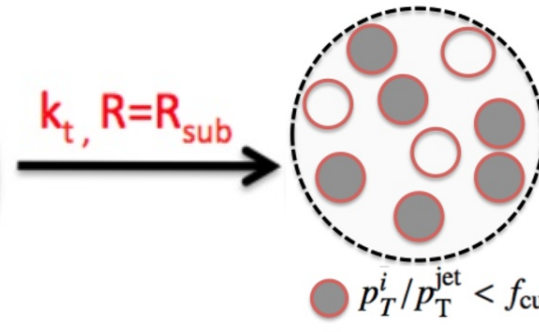
$$d_{ij} = z^2 p_t^2 \Delta R_{ij}^2 \simeq \frac{z}{(1 - z)} m^2$$

small QCD splitting prob \rightarrow large $\sqrt{d(i,j)}$

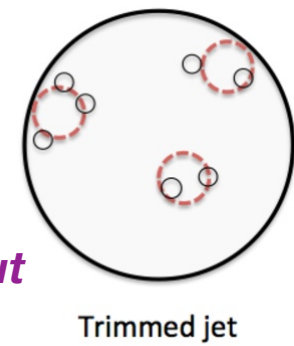
To do also on **trimmed jets** i.e. deprived of soft jet constituents



Cluster with anti- k_T



reject subjets with $p_{T,subjet} / p_{T,jet} < f_{cut}$



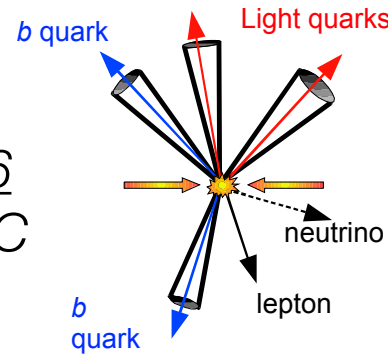
$R=0.2$
 $f=0.3$

Differential $d\sigma_{tt}/dp_{T,top(-jet)}$: l+jets @ $\sqrt{s} = 8$ TeV

$$\int L dt = 4.7 \text{ fb}^{-1} (2011)$$

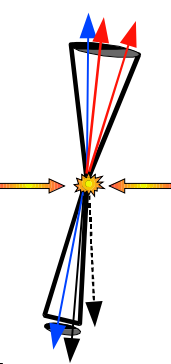
[Eur. Phys. J. C
75 \(2015\) 542](#)

[arxiv:1511.04716](#)
submitted to EPJC



$$\int L dt = 20.3 \text{ fb}^{-1} (2012)$$

[Phys Rev D 93 032009 \(2016\)](#)



- 1 isolated (e,μ), symmetric E_T and m_T^W cuts, ≥ 4 central jets,
- ≥ 1 b-tag or =2 btags

- **Lep top:** 1 p_T dep.-isolated (e,μ) , E_T^{miss} + (closest) $R=0.4$ jet to lep. with $\Delta R(\text{lep}, \text{jet}) < 1.5$
- **Had top :** ≥ 1 $R=1.0$ **trimmed jet** with **large** $p_T \geq 300$ GeV, **large** $m_{\text{jet}} > 100$ GeV, **large** k_T (1 \rightarrow 2) **scale** (> 40 GeV)
- **top quarks in opposite hemisphere** $\rightarrow \Delta\phi(\text{lep}, \text{had top-jet}) > 2.3$, $\Delta R(\text{lept b-jet}, \text{had top-jet}) > 1.5$

• Bkg: data driven W+jets & fakes, single top & diboson from MC

• ≥ 1 b-tag jet

kine-fit top

- **Reconstruct tt decay products from jets + lepton + E_T^{miss} by kinematic fit (m_t, m_W constraint) \rightarrow assign jets**
- **Had top = 3** assigned jets from lkl

pseudo-top

- **Assume 2 highest p b-jets come from tt decay**
- **Lep top:** W boson = lep + E_T^{miss} +, m_W constraint + b-jet with min $\Delta R(\text{b-jet}, \text{lep})$
- **Had top :** W boson = **2 non b-tagged jets** with mass closest to M_W + **other b-jet**

top-jet

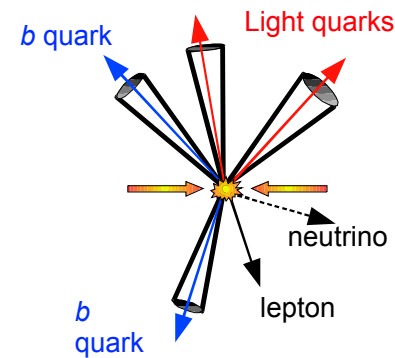
• **Had top = Had top jet**

 reduce combinatorial bkg 

Differential $d\sigma_{t\bar{t}}/dp_{T,top(-jet)}$: l+jets

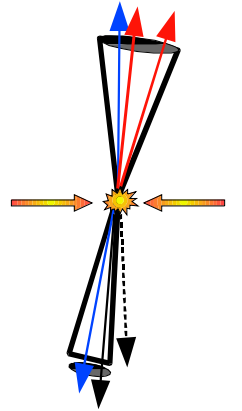
$\sqrt{s} = 8 \text{ TeV}$

$$\int L dt = 19.7 \text{ fb}^{-1} (2012)$$



arxiv:1511.04716 submitted to EPJC

$$\int L dt = 20.3 \text{ fb}^{-1} (2012)$$



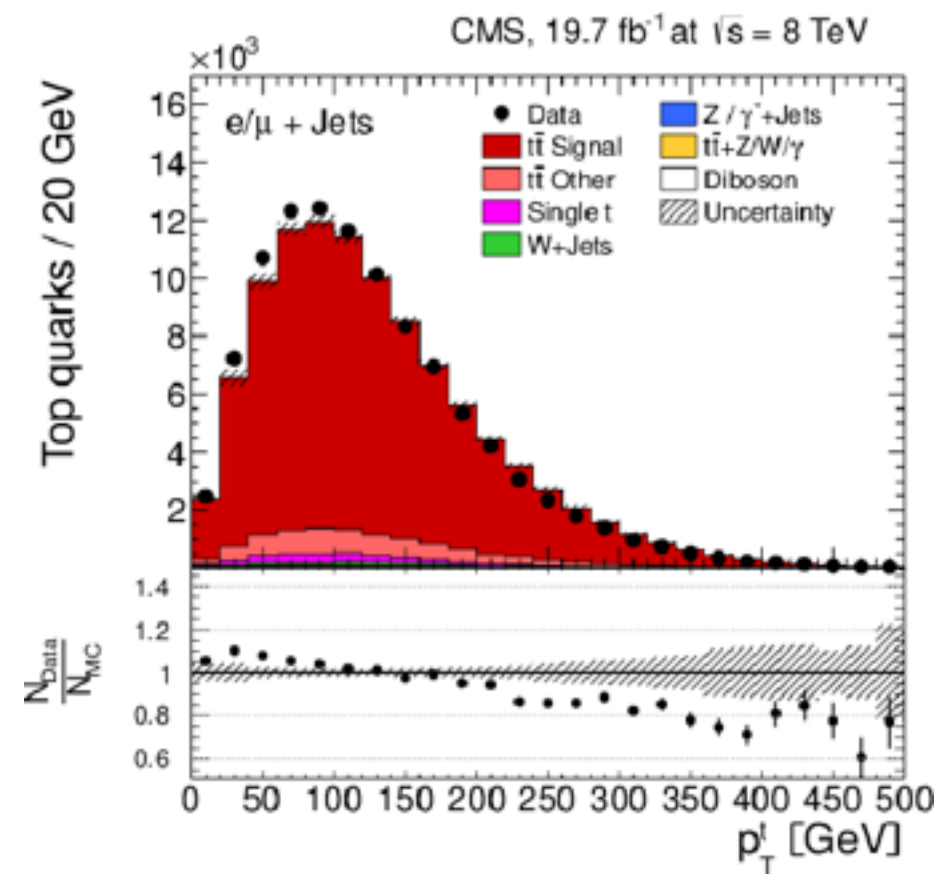
Phys Rev D 93 032009 (2016)

[Eur. Phys. J. C 75 \(2015\) 542](#)

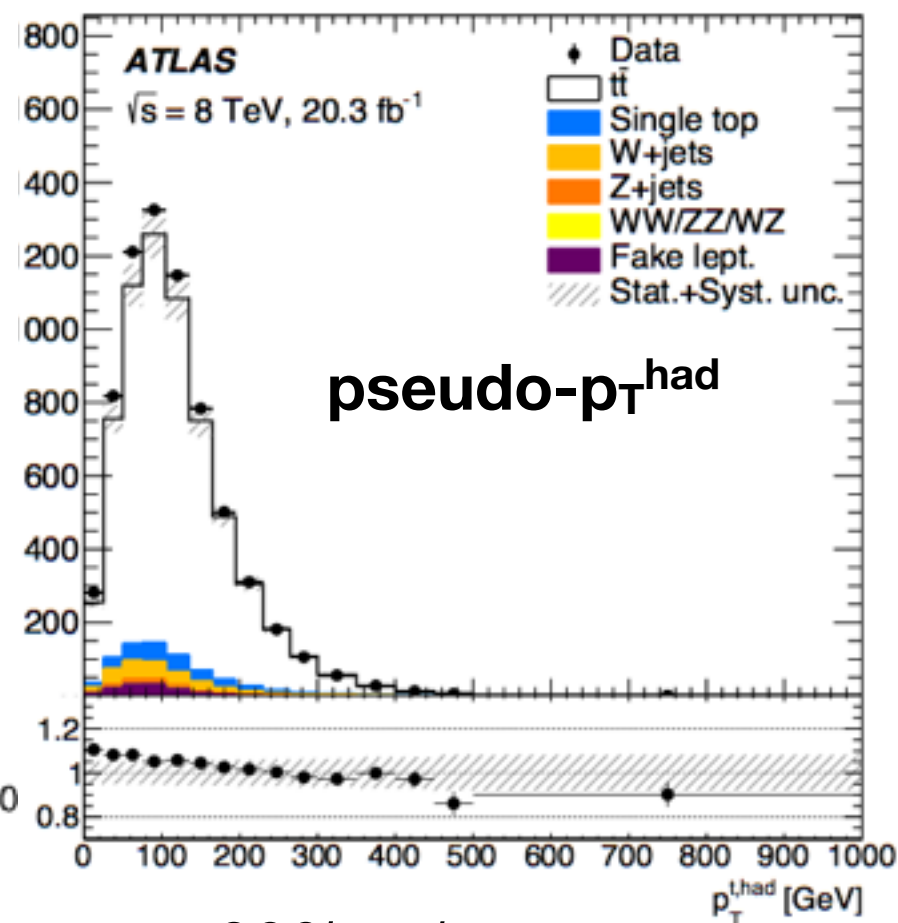
kine fit
hadronic top

pseudo-top

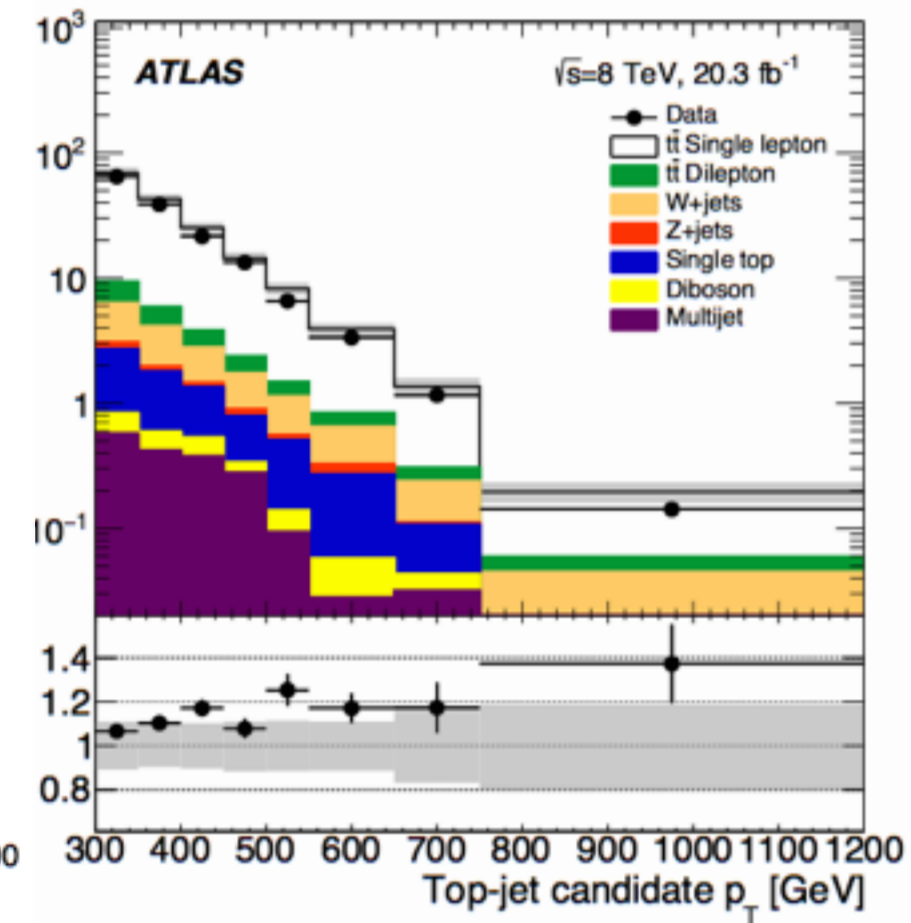
hadronic top-jet



~64k ev,
~79% pure signal $t\bar{t}$



~200k sel events,
~84% pure signal $t\bar{t}$

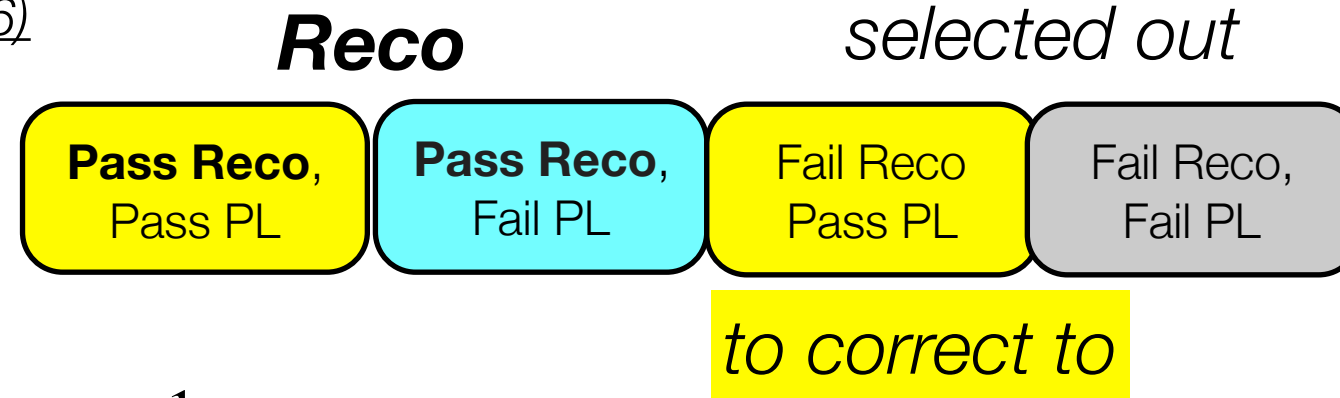


~8k selected events,
85% $t\bar{t}$ -pure

$d\sigma_{t\bar{t}}/dp_{T,top(-jet)}$ l+jets: unfolding - $\sqrt{s}=8$ TeV $\int L dt = 20.3 \text{ fb}^{-1}$ (2012)

Phys Rev D 93 032009 (2016)

- Particle level**
(regularized unfolding, linearity tests)



*similar (simpler)
formulas for
parton level*

$$\frac{d\sigma_{t\bar{t}}}{dp_{T,ptcl}}(p_{T,ptcl}^i) = \frac{1}{\Delta p_{T,ptcl}^i \mathcal{L}_{ptcl!reco}^{fi}} \cdot \sum_j M_{ij}^{-1} f_{reco!ptcl}^j f_{t\bar{t},l+jets}(N_{reco}^j - N_{reco,bgnd}^j)$$

*events that pass particle & reco
events that pass particle*

*events that pass reco & part
events that pass reco*

unfold at level of

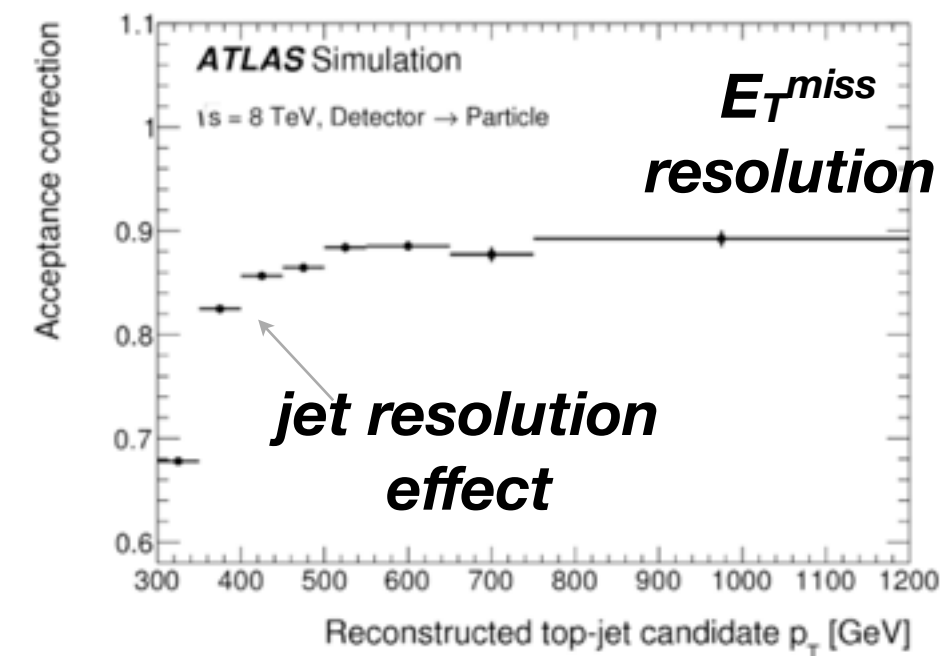
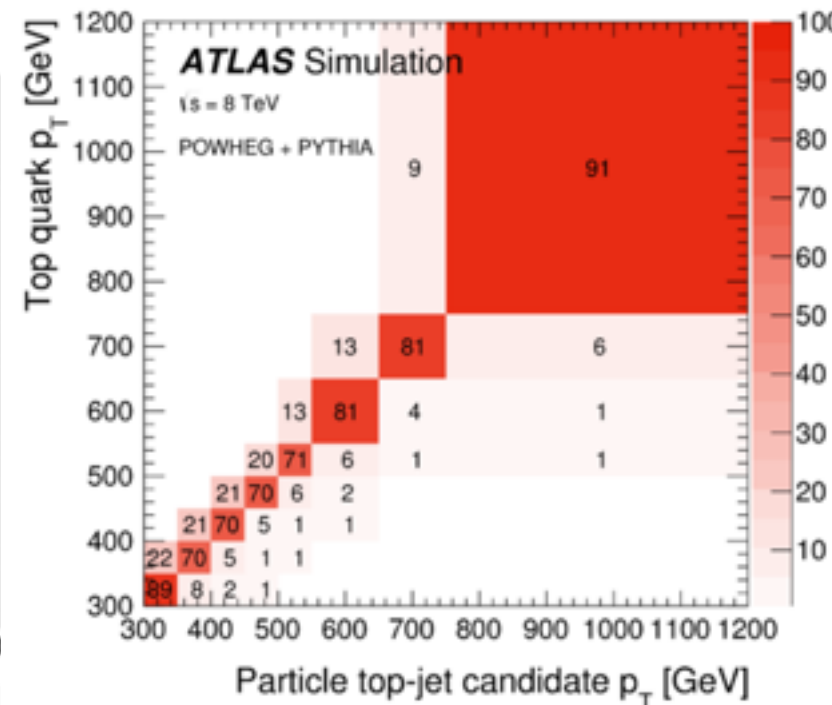
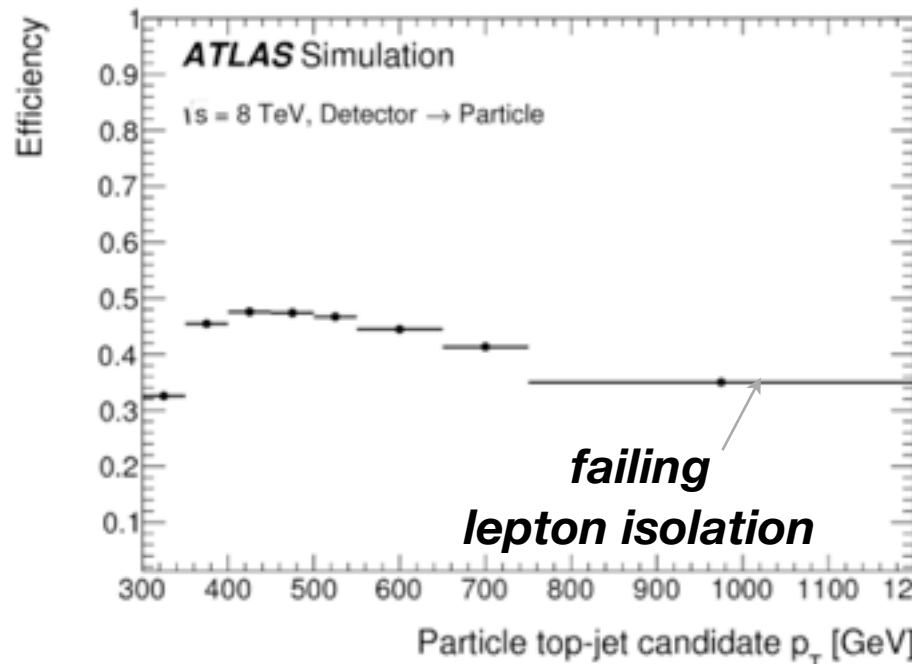
take away

restore

Fail Reco
Pass PL

Pass Reco,
Pass PL

Pass Reco,
Fail PL



Differential $d\sigma_{t\bar{t}}/dp_{T,top(-jet)}$ l+jets: Uncertainties- $\sqrt{s} = 7\& 8$ TeV

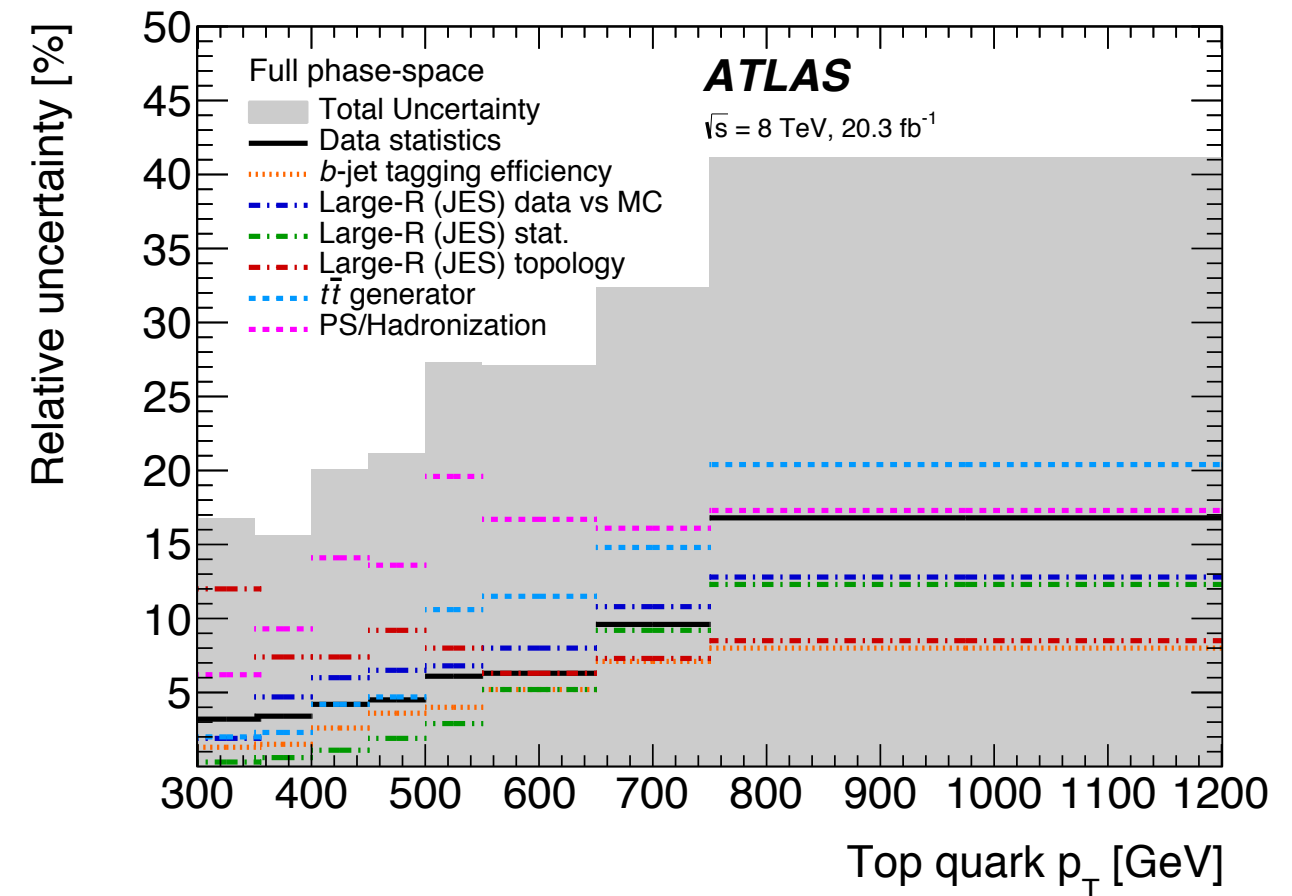
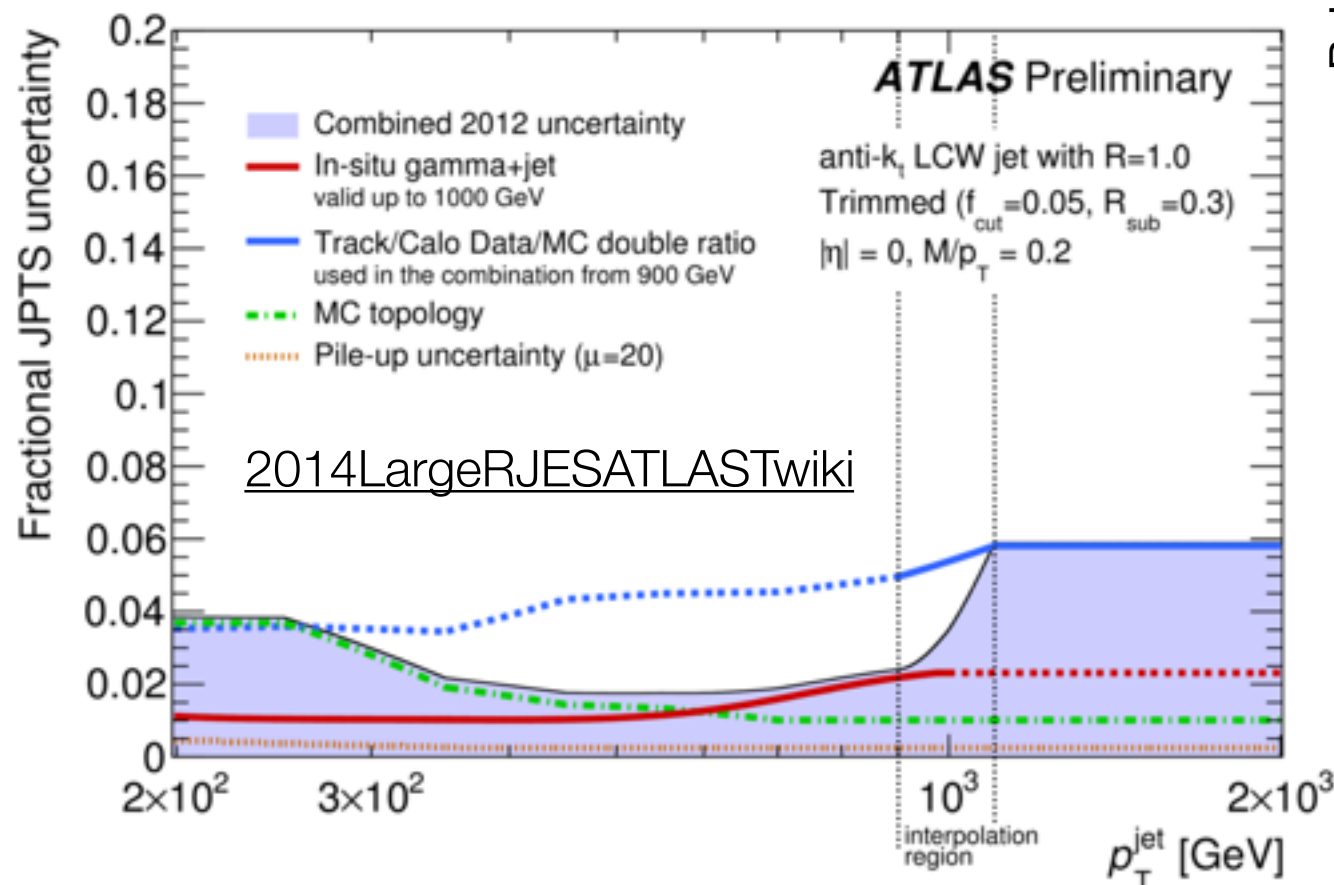
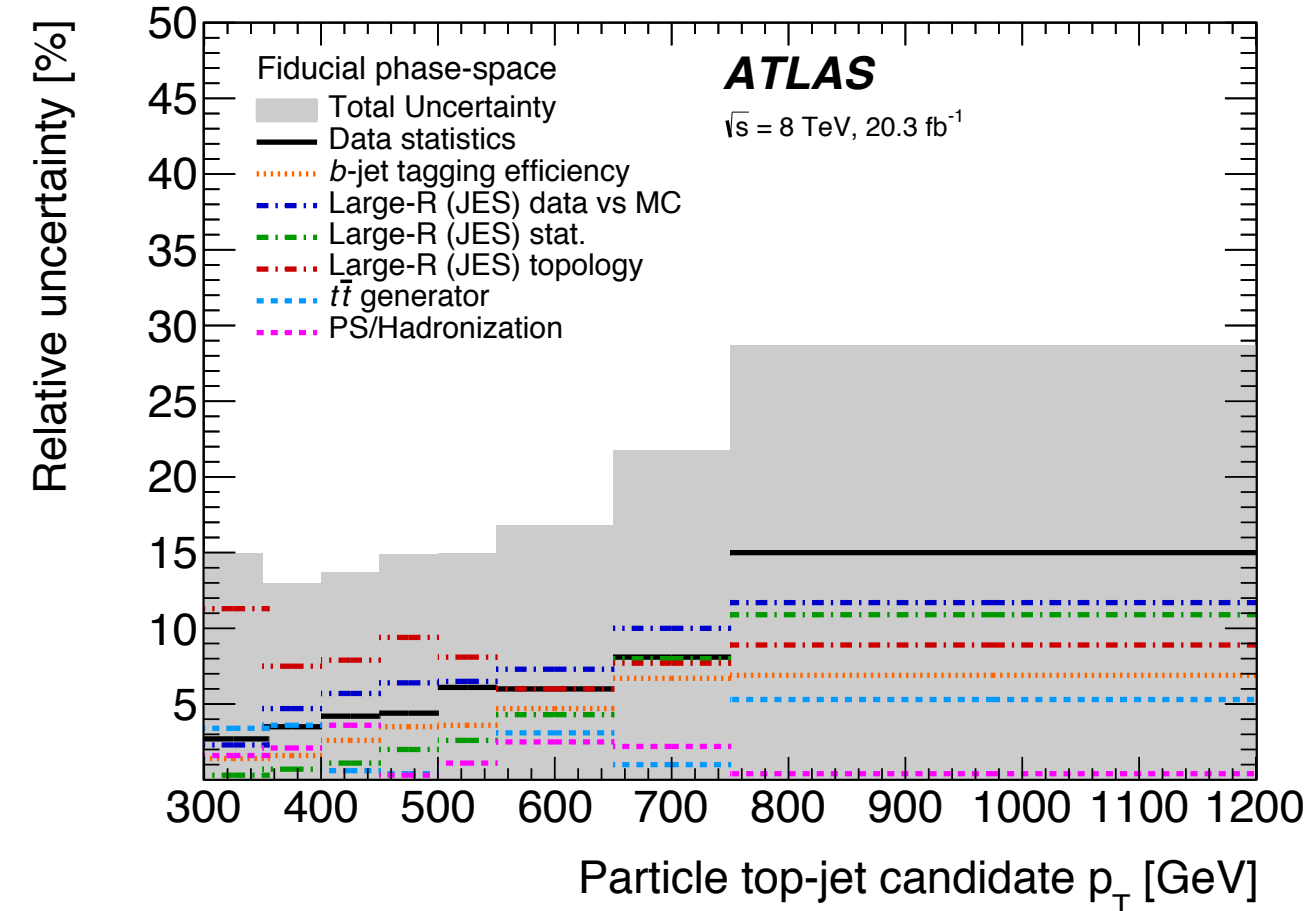
Phys Rev D 93 032009 (2016)

$\int L dt = \mathbf{20.3\ fb^{-1}}$
(2012)

example at 8 TeV boosted

syst estimate

$$\Delta d\sigma/dX(i) = d\sigma/dX(i)^{meas} (pseudodata) - d\sigma/dX(i)^{generated}$$



- Jets are dominant uncertainty
- Comparison of data to prediction derives p-value for χ^2 variable built with the full stat+syst covariance matrix

$d\sigma_{tt}/dp_{T,top(-jet)}$
l+jets

“Resolved”

CMS, 19.7 fb⁻¹ at $\sqrt{s} = 8$ TeV

Results

Boosted

Phys Rev D 93 032009 (2016)

Parton

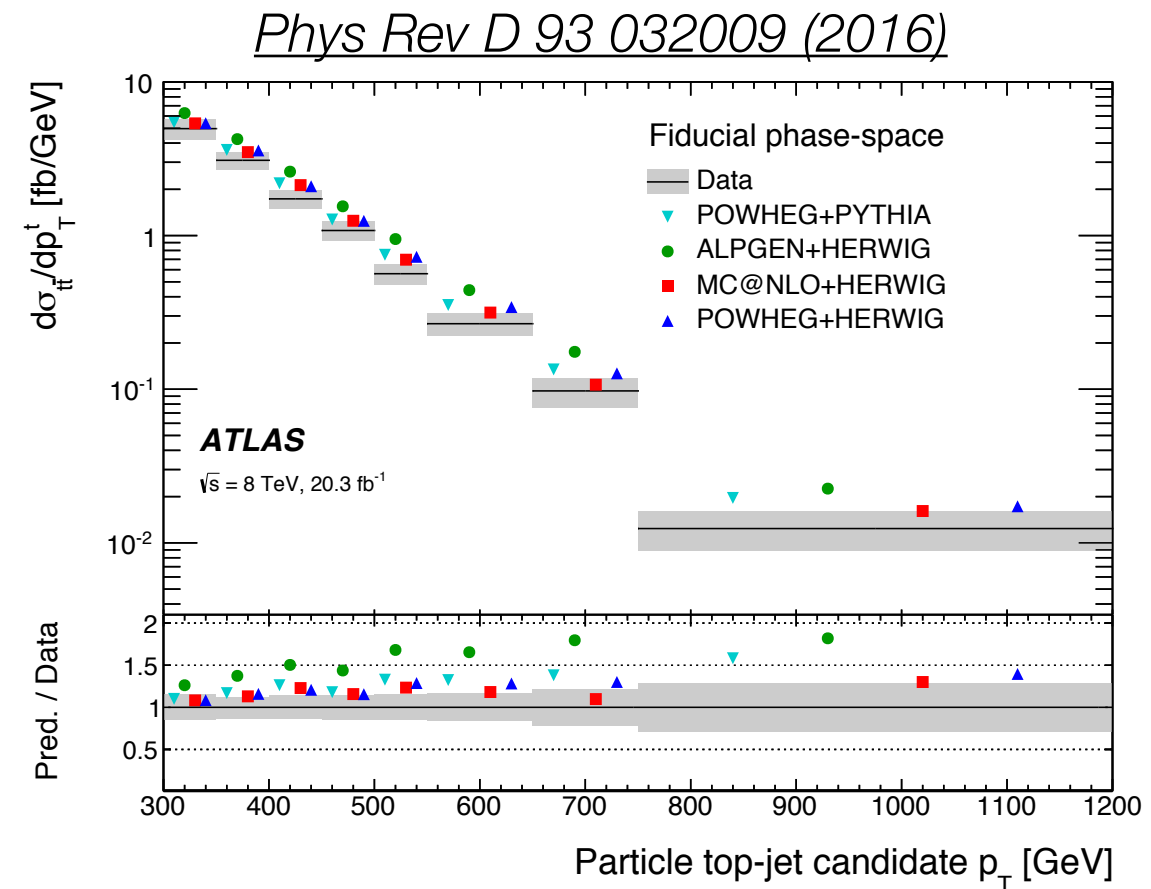
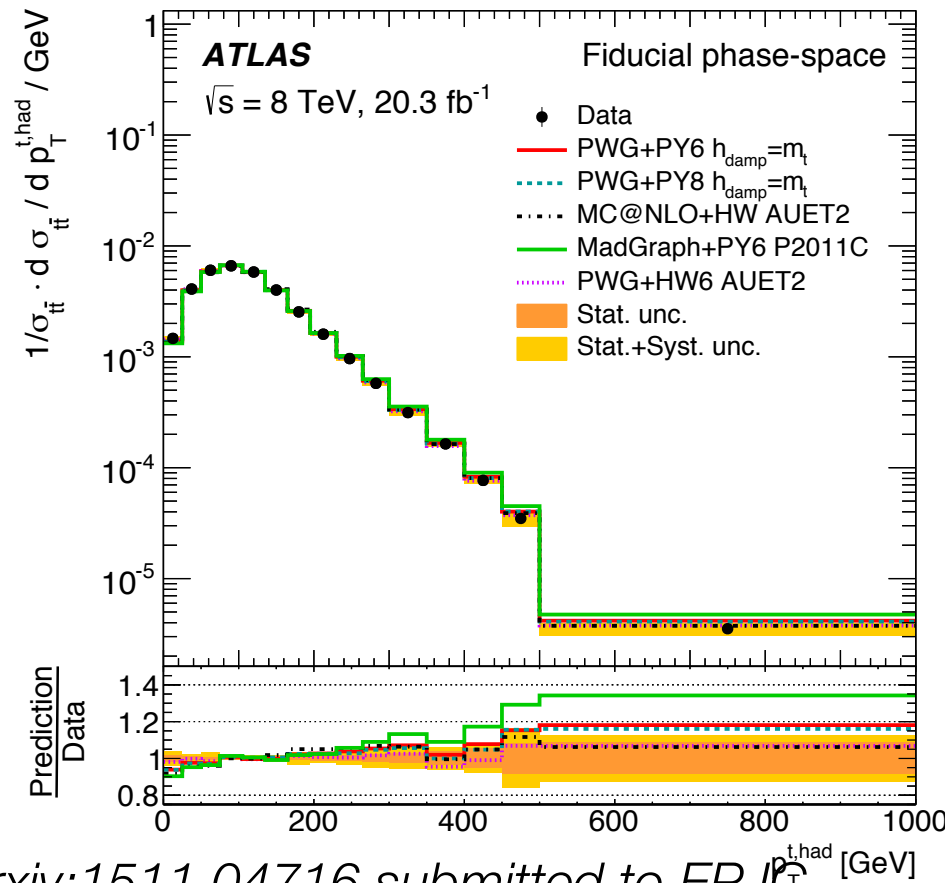
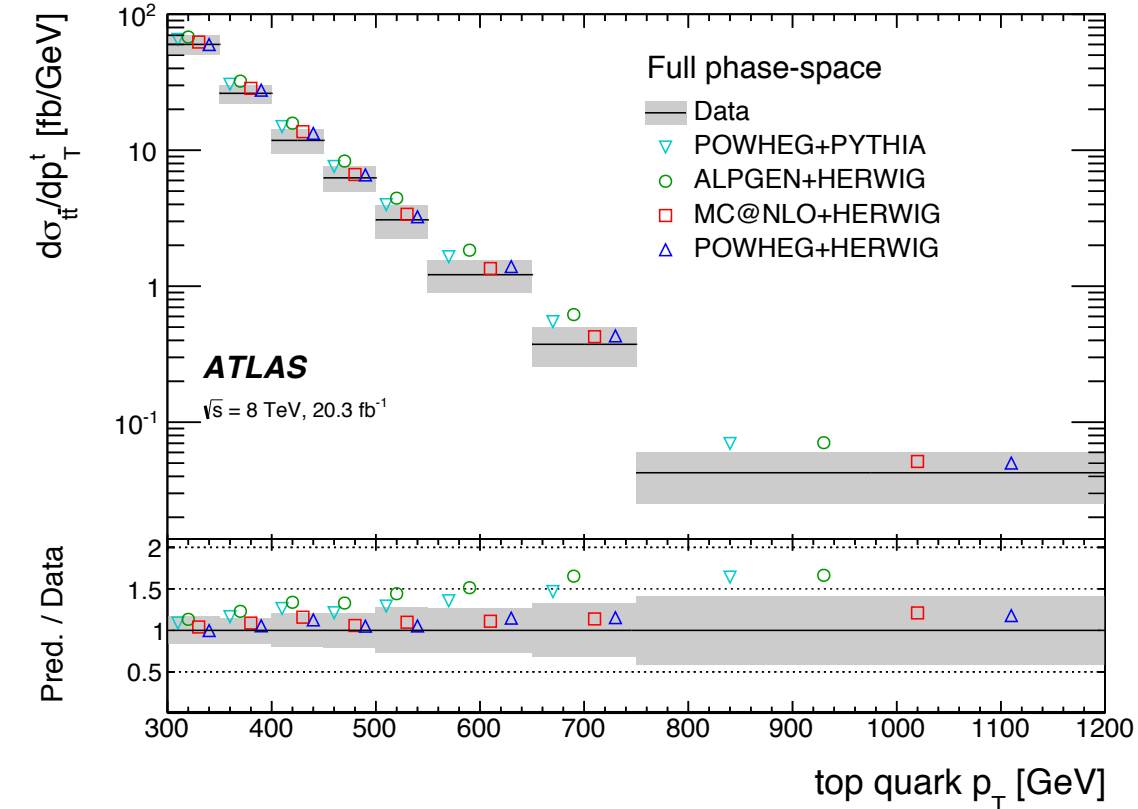
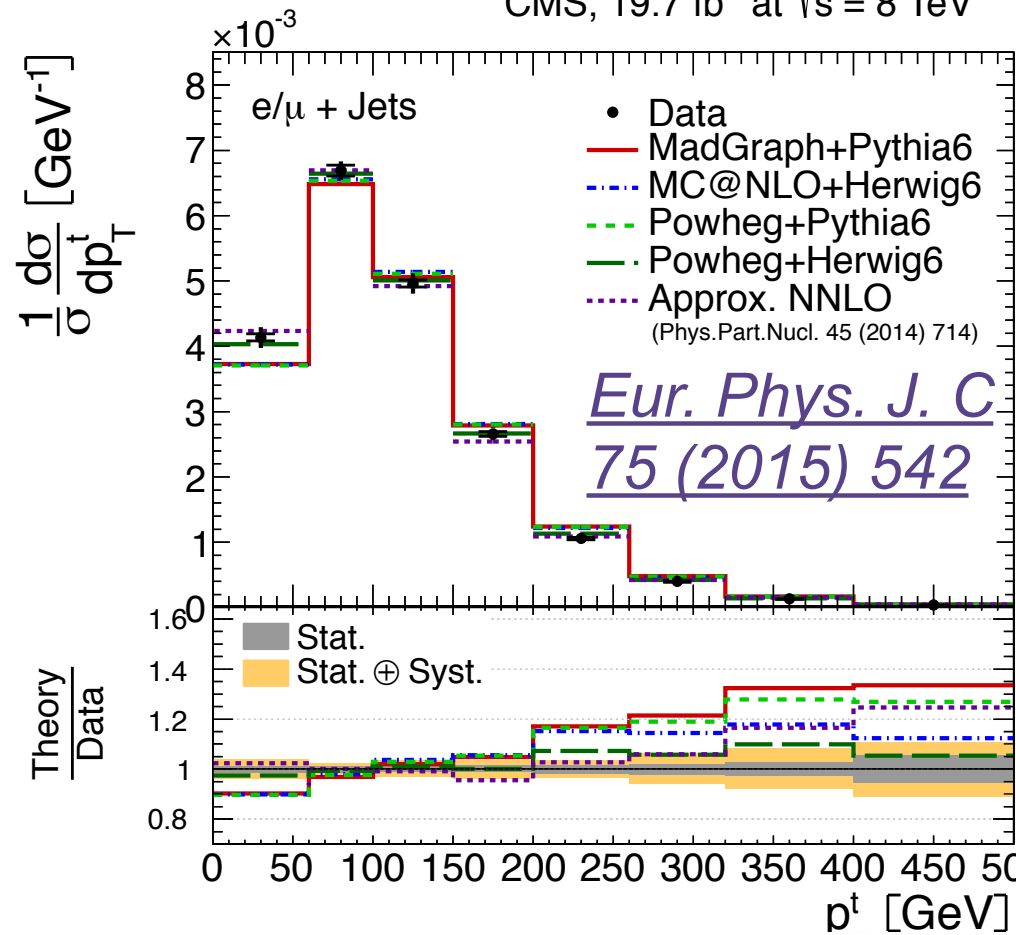
$\sqrt{s} = 8$ TeV

- $d\sigma/dp_T(\text{data}) < d\sigma/dp_T(\text{NLO predictions})$

effect enhanced in boosted regime

- MC hierarchy qualitatively similar

Particle



arxiv:1511.04716 submitted to EPJC

Quantitative assessment of “boosted” $d\sigma_{tt}/dp_{T,top}$

Phys Rev D 93 032009 (2016)

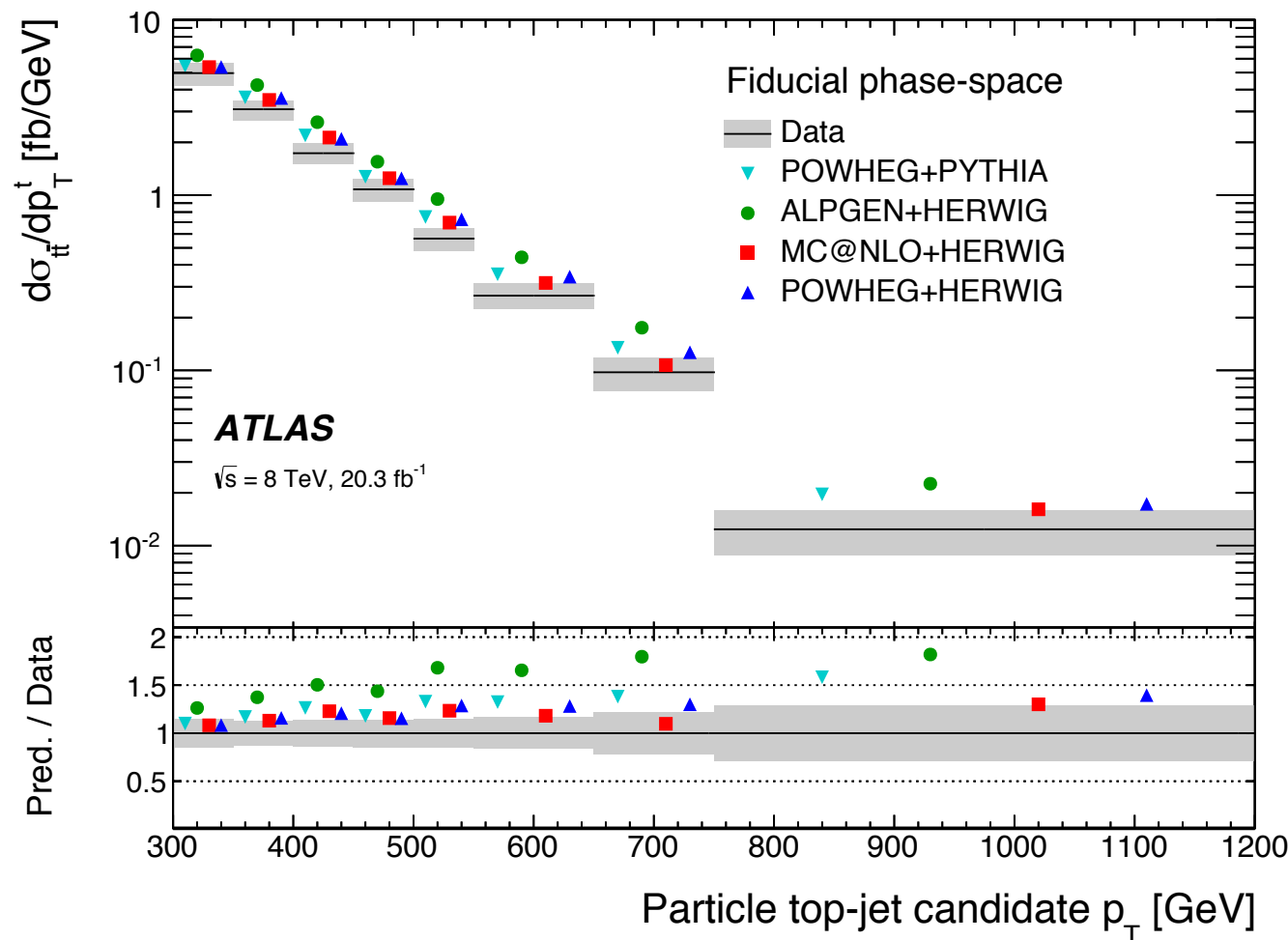


TABLE III. Correlation matrix between the bins of the particle-level differential cross-section as a function of $p_{T,ptcl}$.

$p_{T,ptcl}$ [GeV]	300–350	350–400	400–450	450–500	500–550	550–650	650–750	750–1200
300–350	1.00	0.83	0.79	0.79	0.72	0.63	0.58	0.51
350–400	0.83	1.00	0.83	0.80	0.76	0.74	0.67	0.60
400–450	0.79	0.83	1.00	0.87	0.79	0.78	0.77	0.63
450–500	0.79	0.80	0.87	1.00	0.89	0.76	0.77	0.66
500–550	0.72	0.76	0.79	0.89	1.00	0.84	0.75	0.62
550–650	0.63	0.74	0.78	0.76	0.84	1.00	0.89	0.71
650–750	0.58	0.67	0.77	0.77	0.75	0.89	1.00	0.87
750–1200	0.51	0.60	0.63	0.66	0.62	0.71	0.87	1.00

Quantitative assessment of “boosted” $d\sigma_{tt}/dp_{T,top}$

Phys Rev D 93 032009 (2016)



vector of $(d\sigma/dX (i)^{meas} - d\sigma/dX (i)^{predicted})$

$$\chi^2 = V^T \cdot \text{Cov}^{-1} \cdot V,$$

Cov is the full estimate of the covariance matrix (syst+stat)

χ^2 Table for
particle level
results vs MC
predictions

MC generator	PDF	χ^2	p -value
POWHEG+PYTHIA $h_{damp} = m_{top} + \text{Electroweak corr.}$	CT10	9.8	0.28
POWHEG+PYTHIA $h_{damp} = m_{top}$	CT10	13.0	0.11
POWHEG+PYTHIA $h_{damp} = \infty$	CT10	15.6	0.05
POWHEG+PYTHIA $h_{damp} = m_{top}$	HERAPDF	9.4	0.31
POWHEG+PYTHIA $h_{damp} = \infty$	HERAPDF	10.9	0.21
POWHEG+HERWIG	CT10	8.2	0.41
MC@NLO+HERWIG	CT10	12.3	0.14
ALPGEN+HERWIG	CTEQ6	33.1	$5.9 \cdot 10^{-5}$

**Significant
discrepancy**

Table 6: Values of χ^2 and a p -value, computed for 8 degrees of freedom, obtained from the covariance matrix of the measured cross-section for various predictions. Electroweak corrections are applied only to the first prediction.

Measurement of $1/\sigma_{tt} d\sigma_{tt}/dX$ @ $\sqrt{s} = 8$ TeV

example χ^2 Table : particle level results vs MCs



Resolved

arxiv:1511.04716 submitted to EPJC

Variable	PWG+PY8		MC@NLO+HW		PWG+PY6		PWG+HW6		MadGraph+PY6	
	CT10 $h_{\text{damp}} = m_t$		CT10 AUET2		CT10 $h_{\text{damp}} = m_t$		CT10 $h_{\text{damp}} = \infty$		MadGraph+PY6 P2011C	
	χ^2/NDF	$p\text{-value}$	χ^2/NDF	$p\text{-value}$	χ^2/NDF	$p\text{-value}$	χ^2/NDF	$p\text{-value}$	χ^2/NDF	$p\text{-value}$
p_T^t	11/14	0.72	25/14	0.04	12/14	0.59	3.1/14	1.00	35/14	<0.01
R_{Wt}	20/11	0.05	24/11	0.01	25/11	0.01	4.2/11	0.96	60/11	<0.01
$\chi^{t\bar{t}}$	27/9	<0.01	40/9	<0.01	24/9	<0.01	58/9	<0.01	240/9	<0.01
$ y^{t\bar{t}} $	110/17	<0.01	77/17	<0.01	100/17	<0.01	110/17	<0.01	210/17	<0.01
$m^{t\bar{t}}$	7.9/10	0.64	4.6/10	0.92	3.8/10	0.95	6.7/10	0.75	21/10	0.02
$y_{\text{boost}}^{t\bar{t}}$	83/15	<0.01	56/15	<0.01	76/15	<0.01	80/15	<0.01	160/15	<0.01
$ p_{\text{out}}^{t\bar{t}} $	2.4/5	0.79	9.0/5	0.11	8.8/5	0.12	11/5	0.05	3.3/5	0.66
$ y^t $	22/17	0.18	11/17	0.88	20/17	0.27	15/17	0.60	13/17	0.72
$p_T^{\bar{t}}$	1.3/5	0.93	2.6/5	0.75	3.1/5	0.68	4.2/5	0.52	2.9/5	0.71
$H_T^{t\bar{t}}$	8.2/14	0.88	12/14	0.59	13/14	0.52	2.3/14	1.00	38/14	<0.01
$\Delta\phi^{t\bar{t}}$	0.8/3	0.84	24/3	<0.01	5.0/3	0.17	17/3	<0.01	19/3	<0.01

Table 3: Comparison between the measured fiducial phase-space normalized differential cross-sections and the predictions from several MC generators. For each variable and prediction a χ^2 and a p -value are calculated using the covariance matrix of each measured spectrum. The number of degrees of freedom (NDF) is equal to $N_b - 1$ where N_b is the number of bins in the distribution.

individual top variables

kinematic $t\bar{t}$ variables

$t\bar{t}$ system variables

$$\chi^2 = V_{N_b-1}^T \cdot \text{Cov}_{N_b-1}^{-1} \cdot V_{N_b-1}, \quad \text{vector of } (d\sigma/dX (i)^{\text{meas}} - d\sigma/dX (i)^{\text{predicted}})$$

$N_b = \text{number of bins}$

Cov is the full estimate of the covariance matrix (syst+stat)

ATLAS vs CMS vs Theory (I) : $1/\sigma_{tt} d\sigma_{tt}/dp_{T,top}$ @ $\sqrt{s} = 8$ TeV

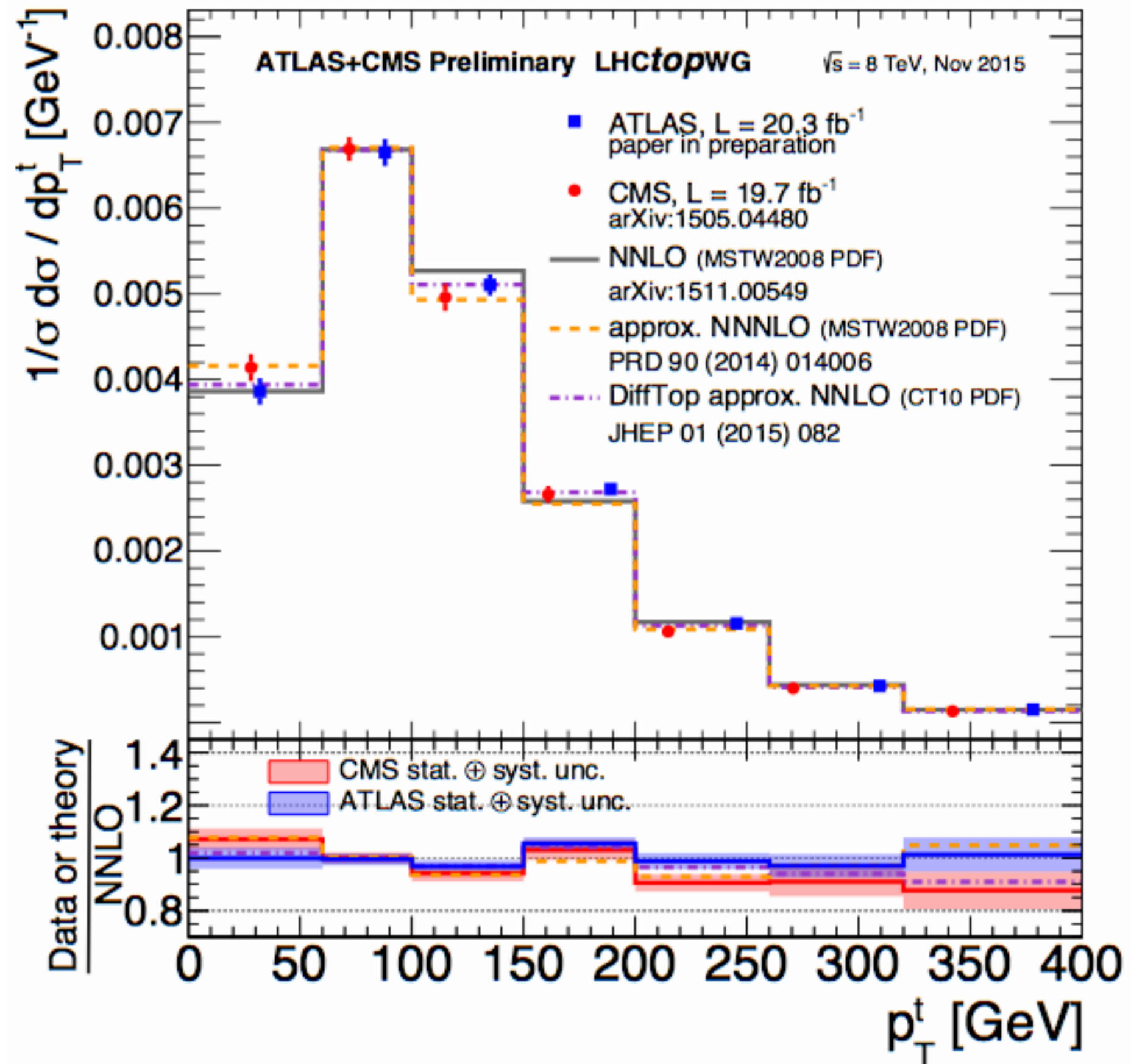
parton level

ATLAS & CMS
Public summary plots

- **ATLAS & CMS measurements are generally consistent with each other and all predictions**

- ▶ CMS shows slight slope

*Qualitative statement,
no statistical test
performed yet*



Latest differential: $d\sigma_{tt}/dN_{jets}$ @ $\sqrt{s} = 13$ TeV

Global event description I

ATLAS-CONF-2015-065

NEW PAS-TOP-16-011

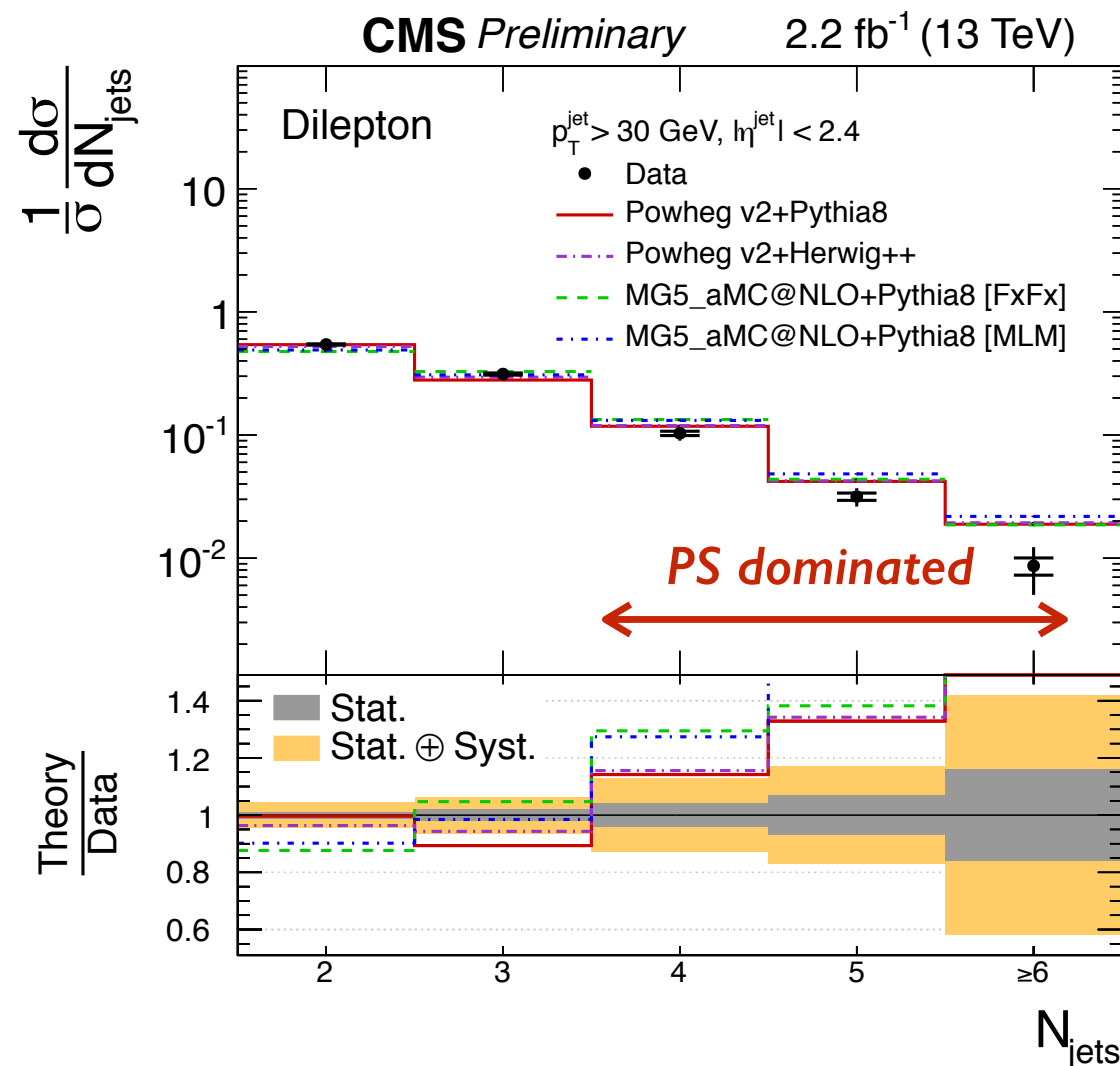
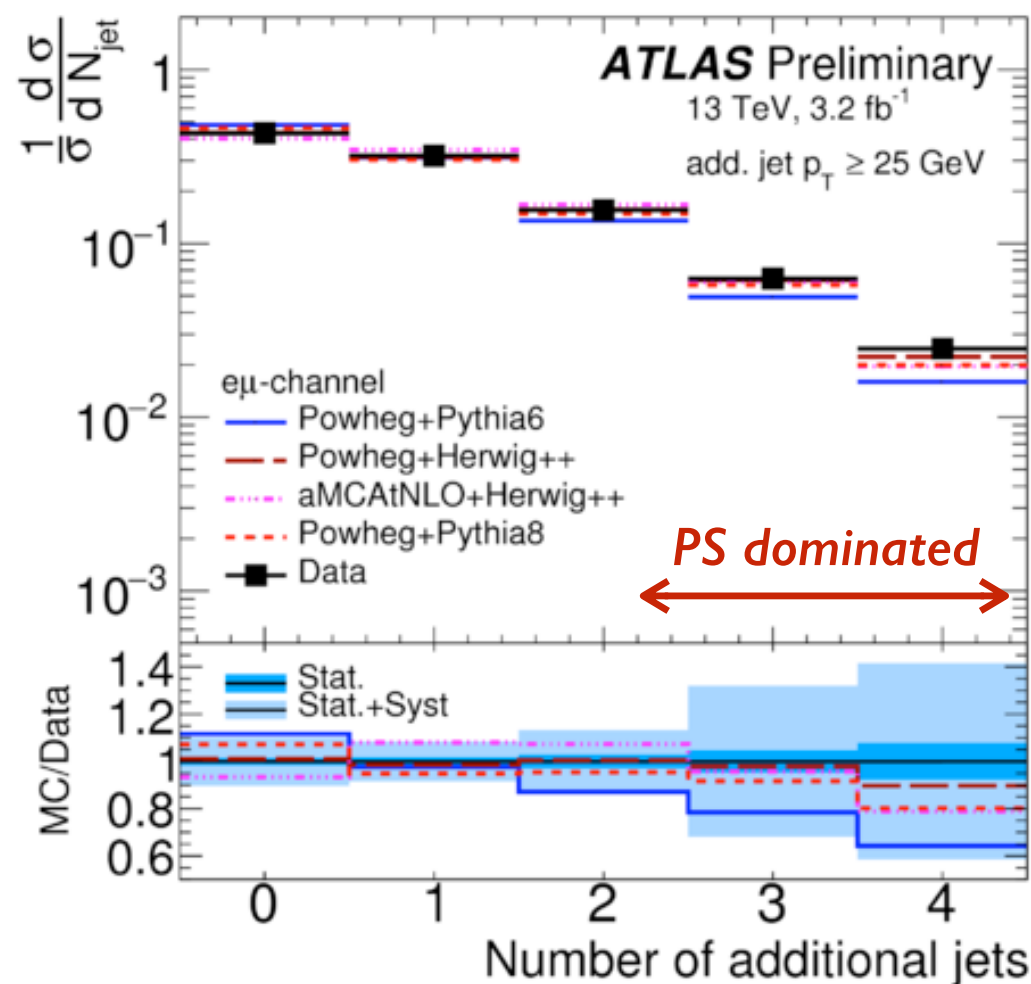
16

- Extra jet emissions are mostly regulated by the Parton Shower generators
 - sensitive to matching to matrix-element generators and to shower model
 - predictions from modern generators in agreement with each other within $<15\%$
 - however in extreme regions observe discrepancies which need to be tuned further

PAS-TOP-16-011

Dilepton channel

$tt+jets$ is dominant
bkg to $tt+Higgs$ &
new phys



(Pedro Ferreira da Silva @ Moriond 2016)

Latest differential: $1/\sigma_{tt} \, d\sigma_{tt}/dp_{T,top}$ @ $\sqrt{s} = 13 \text{ TeV}$

- **dilepton selection:** 2 OS lep (e^+e^- , $\mu^+\mu^-$, $e^\pm\mu^\mp$), ≥ 2 jets, ≥ 1 b-tag
 - bkg: **data-driven Z+jets**, (tW), diboson, tt+V **fake leptons**(from simul.)
- Subtract bkg, unfold (regularized) to parton level & derive $1/\sigma_{tt} \, d\sigma_{tt}/dp_{T,top}$
- Combine results of different channels

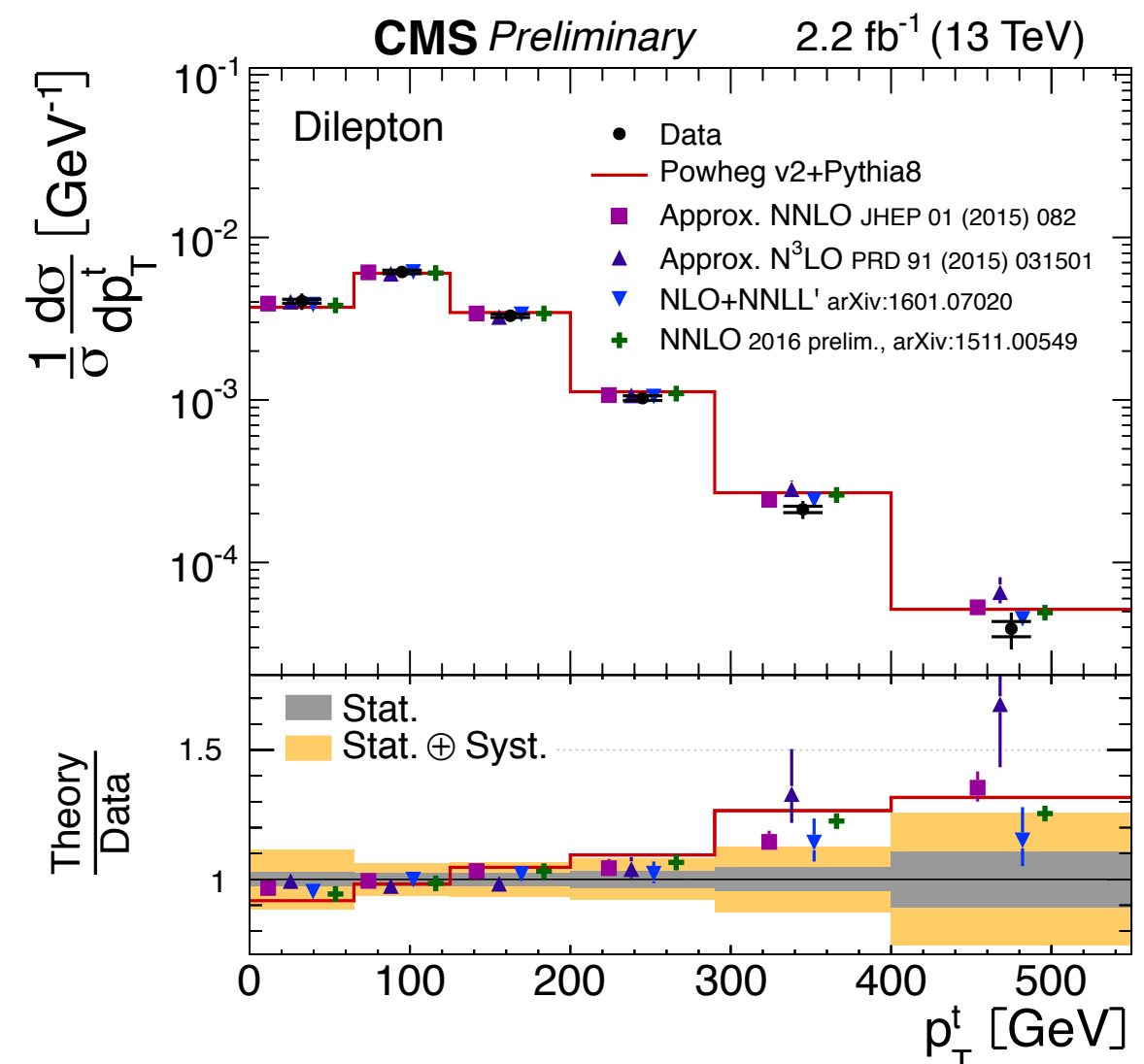
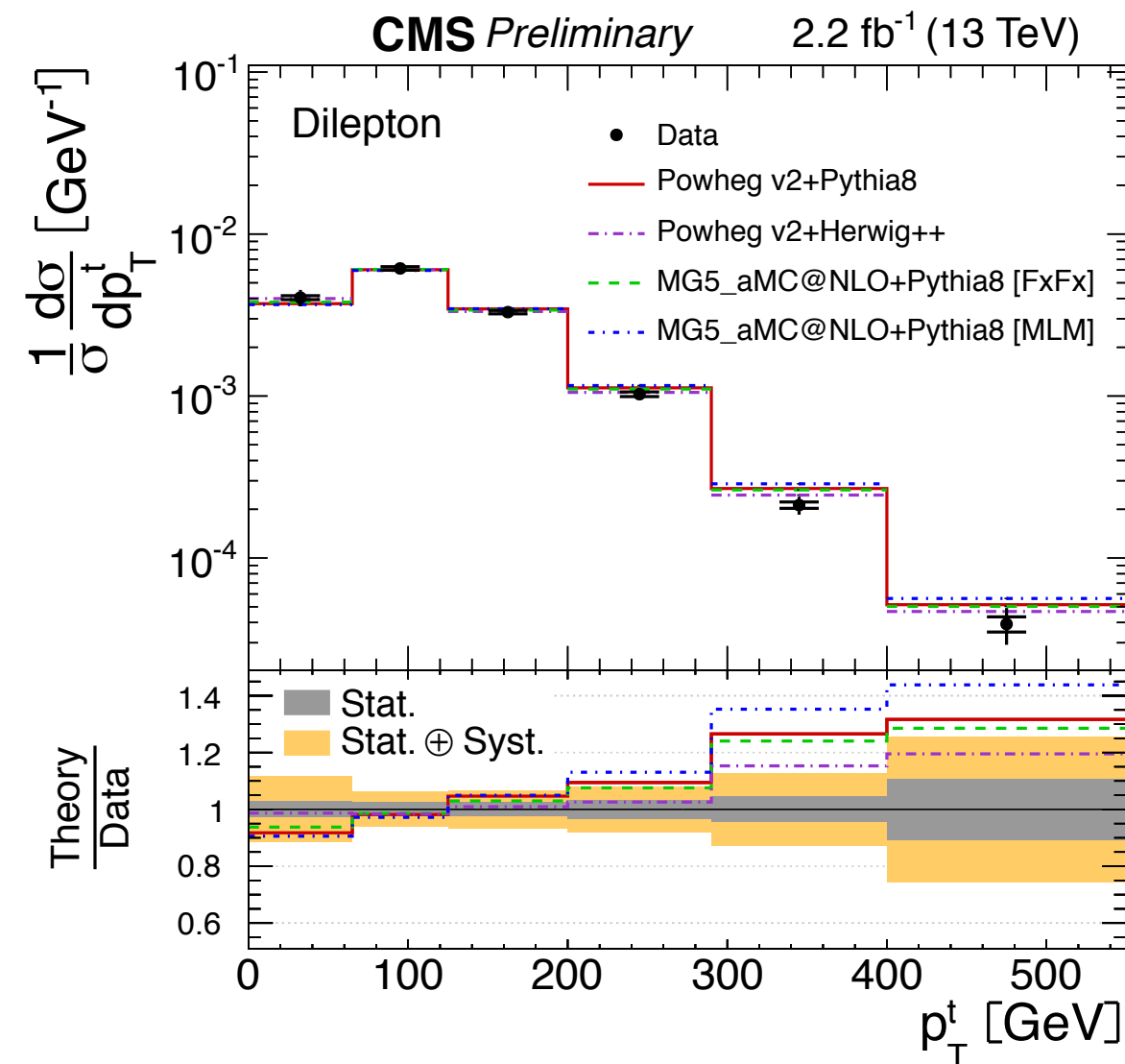
$d\sigma/dp_T(\text{data})$

- **$< d\sigma/dp_T$ (MC predictions),** similar to 7 & 8 TeV

qualitative

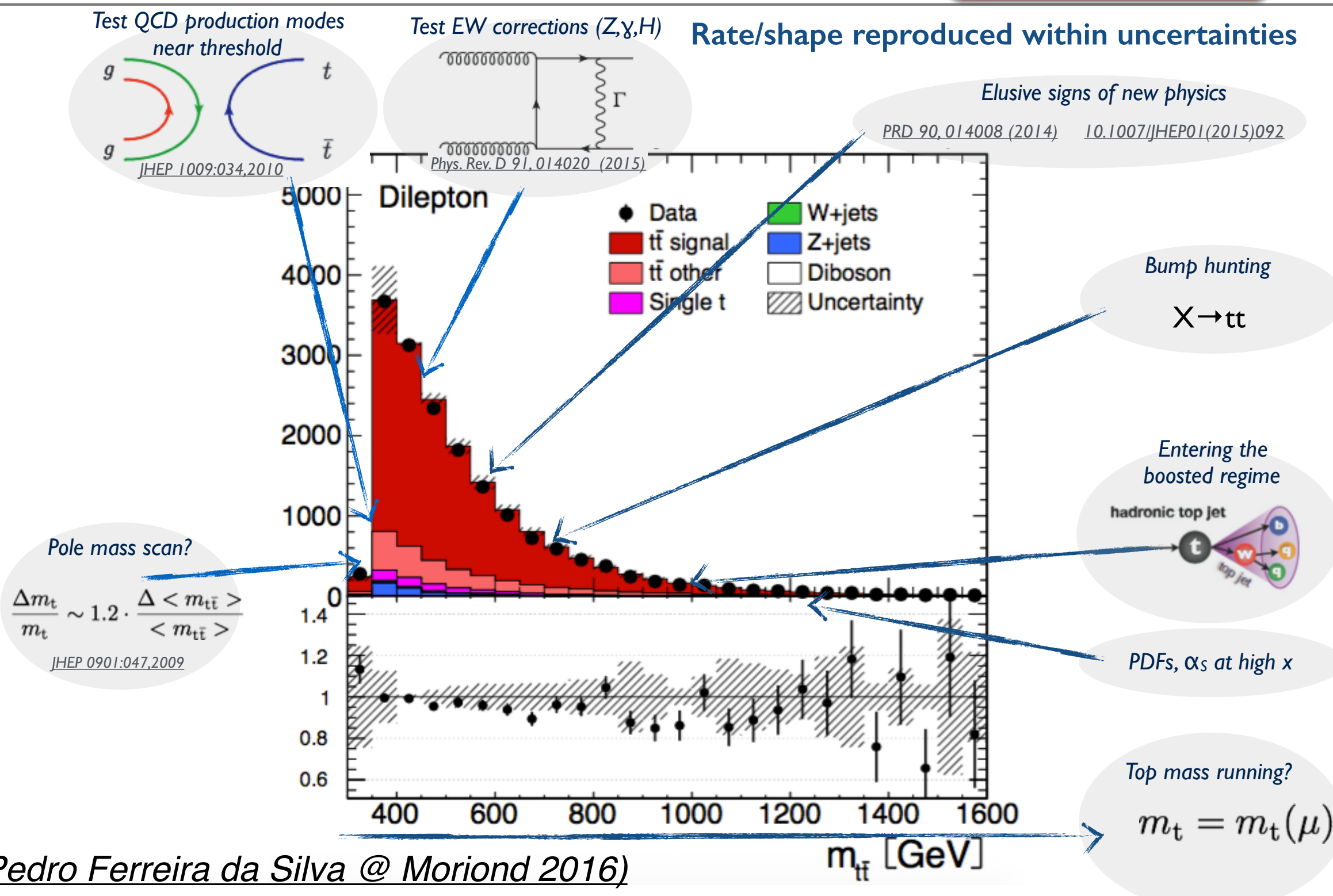
reasonably described by all fixed order calculations

- best description by POWHEG+HW+



Towards probing precisely the measured tt invariant mass

NEW PAS-TOP-16-011 18



(Pedro Ferreira da Silva @ Moriond 2016)

Latest differential: $d\sigma_{tt}/dm_{tt}$ @ $\sqrt{s} = 13$ TeV (I)

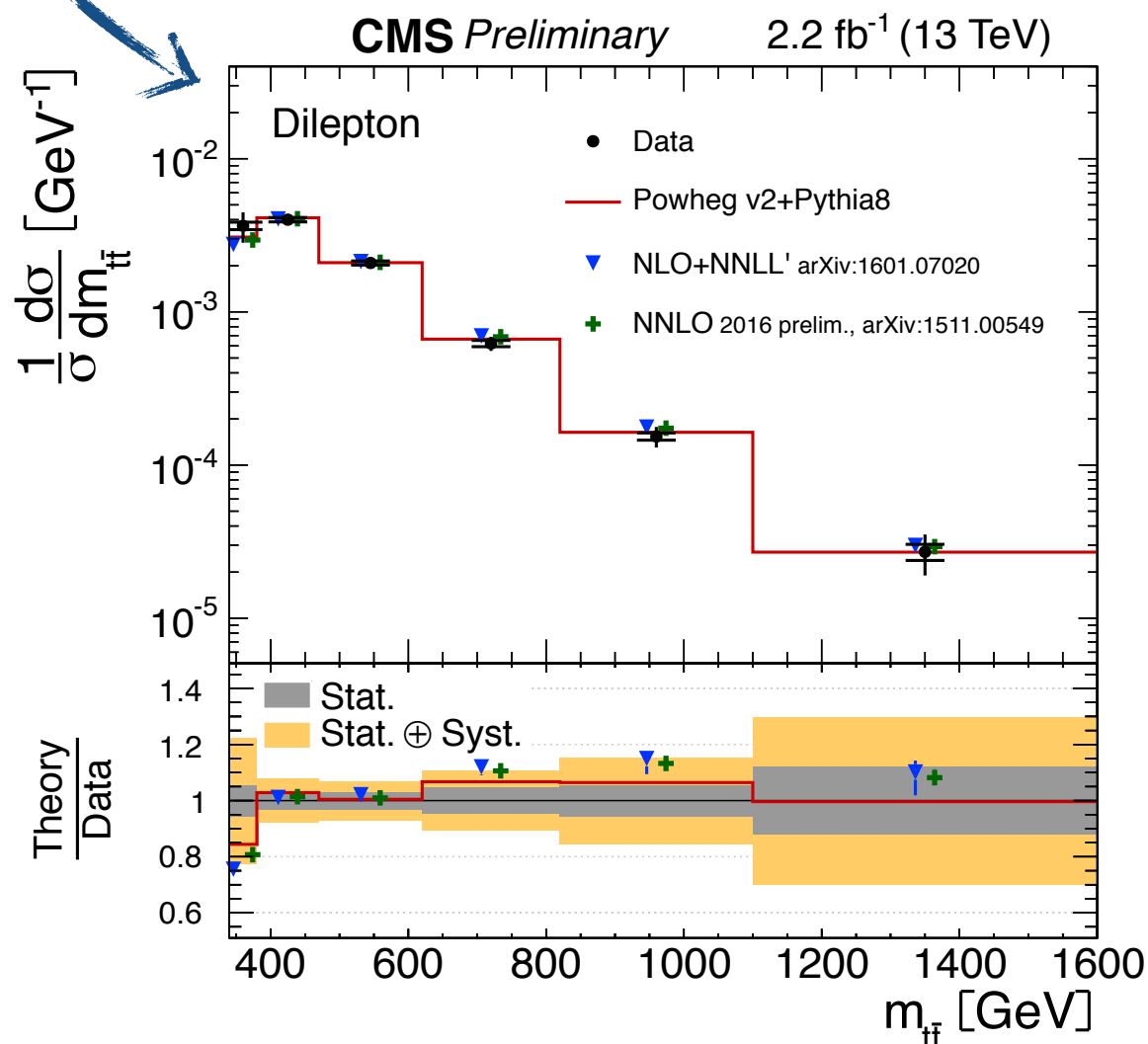
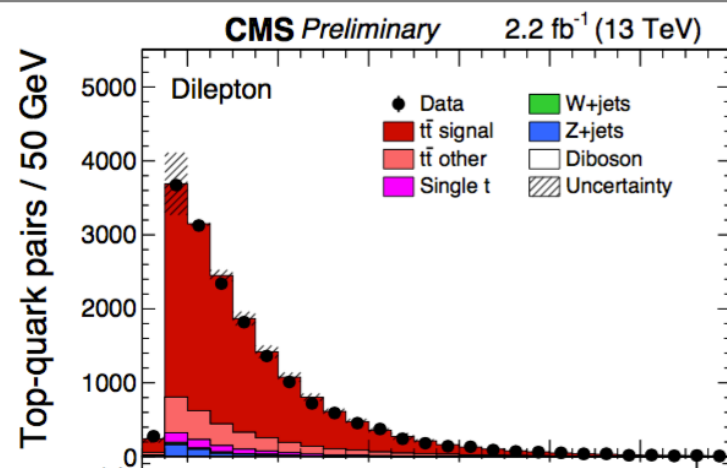
Probing the measured tt invariant mass

dilepton
selection

NEW PAS-TOP-16-011

19

Give my interpretation???



Rate/shape reproduced within uncertainties

- Precise measurements of $M(tt)$ and others depends crucially on the understanding of ME+PS-based predictions
- Current uncertainty at the level of 5-20%
 - ambiguity in data shape corrections
 - dominated by different MC models
- **Largest contributions** from choice of
 - hadronizer (Pythia8 vs Herwig++)
 - NLO generator (aMC@NLO vs Powheg)
- ⇒ complement with alternative measurements to constrain PS related uncertainties (e.g. underlying event, jet activity, etc.)
- Experimentally jet energy scale unc. dominant

(Pedro Ferreira da Silva @ Moriond 2016)

$t\bar{t}$ & t cross section prospects for 13 TeV

- Increase in luminosity & cross section will enhance signal, backgrounds, possibly better S/B; even though samples are already extremely pure
- More **particle level** vs parton level **measurements**
- **More differential cross section measurements**
 - test uncharted territory (high N_{jets} , high p_T), top p_T crucial for searches
 - **focused syst studies as above in each diffxsec bin interplay with bin and unfolding optimization**
 - **enhance selection efficiency in more boosted configurations by tagging high transverse momentum massive objects**
- Combinations will improve uncertainty by including uncorrelated uncertainties
- Measurements are dominated by systematic uncertainties 2 strategies
 - **Reduce syst uncertainties by measuring differential distributions that are sensitive to alternative models tune ambiguities, discard un-tunable models**
 - ❖ generator modelling: crucial harmonization in LHC to achieve combined result
 - ❖ ISR/FSR
 - ❖ Fragmentation: tune simulation/hadronization models
 - ❖ improve PDF measurements particularly high x gluons and feed-it back
 - **De-sensitize analysis to sys uncertainty: use ingenuity and intuition to develop new cuts, reconstructions schemes**

Measurement of top quark mass, m_t

i.e.

the defining property

The Top mass (I)

Phys.Rept. 504 (2011) 145-233

- Remember the SM Lagrangian

$$m_t = y_t v / \sqrt{2}$$

$$\mathcal{L}_{\text{Higgs, fermions}} = \bar{\Psi}_i y_{ij} \Psi_j \phi + \text{h.c.} \rightarrow \mathcal{L}_{\text{top}} = \underbrace{m_t t_L t_R / \sqrt{2}}_{\text{mass term}} + \underbrace{y_t H t_L t_R / \sqrt{2}}_{\text{interaction term}}$$

provides CKM matrix

- At LO, $m = m_{\text{bare}}$ in SM Lagrangian, **beyond LO m_{top} depends on renormalization scheme**

- Rapidity of convergence in perturbative regime depends on renormalization scheme** (even if results don't)
- QCD is only asymptotically convergent : scheme should be acceptable in non pert regime too + no infinite order in perturbative regime

Typical renormalization schemes

- Long distance** scheme ~ **Pole mass**: real part of pole position in complex momentum space; imagine taking free particle to infinity, and measuring mass (impossible for QCD, top is coloured and confined); closer to collider measurement
- Short distance** ~ **Minimal Subtraction (MS)**: subtract the divergent term of corrections + universal constant; do not touch finite part.
- Mass difference between any two schemes is calculable as perturbative series in α_s

$$m_{\text{pole}} = \bar{m}(\bar{m}) \left(1 + \frac{4}{3} \frac{\bar{\alpha}_s(\bar{m})}{\pi} + 8.28 \left(\frac{\bar{\alpha}_s(\bar{m})}{\pi} \right)^2 + \dots \right) + O(\Lambda_{\text{QCD}})$$

- Difference involves integral of α_s over a region where it becomes large so the series does not converge : the ambiguity is of order Λ_{QCD}*

$$\text{---} + \text{---} \begin{array}{c} \text{wavy line} \\ \Sigma' \end{array} \text{---} = p - m^0 - \Sigma(p, m^0, \mu)$$

$$\Sigma(m^0, m^0, \mu) = m^0 \left[\frac{\alpha_s}{\pi\epsilon} + \dots \right] + \Sigma^{\text{fin}}(m^0, m^0, \mu)$$

$\overline{\text{MS}}$ scheme: $m^0 = \overline{m}(\mu) \left[1 - \frac{\alpha_s}{\pi\epsilon} + \dots \right]$

- $\overline{m}(\mu)$ is pure UV-object without IR-sensitivity
- Useful scheme for $\mu > m$
- Far away from a kinematic mass of the quark

A. Hoang (TOPLHCWG, Jan 2015)

Pole scheme: $m^0 = m^{\text{pole}} \left[1 - \frac{\alpha_s}{\pi\epsilon} + \dots \right] - \Sigma^{\text{fin}}(m^{\text{pole}}, m^{\text{pole}}, \mu)$

- Absorbes all self energy corrections into the mass parameter
- Close to the notion of the quark rest mass (kinematic mass)
- Renormalon problem: infrared-sensitive contributions from < 1 GeV that cancel between self-energy and all other diagrams cannot cancel.
- Has perturbative instabilities due to sensitivity to momenta < 1 GeV (Λ_{QCD})

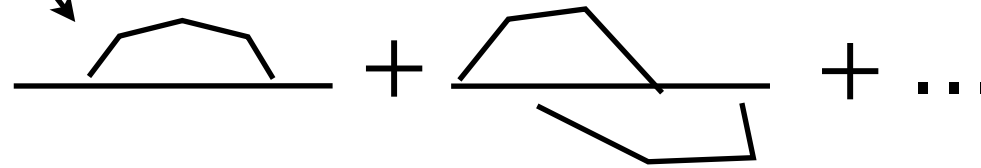
Should not be used if uncertainties are below 1 GeV !

What is top mass and how is it measured? the Pole

propagator to amplitude: higher order corrections

$$\frac{1}{p^2 - m^2} \cdot \text{---} \bigcirc \text{---} + \text{---} \bigcirc \text{---} \bigcirc \text{---} + \dots = \frac{1}{p^2 - m^2 - i \cdot \Gamma(p^2) \cdot m}$$

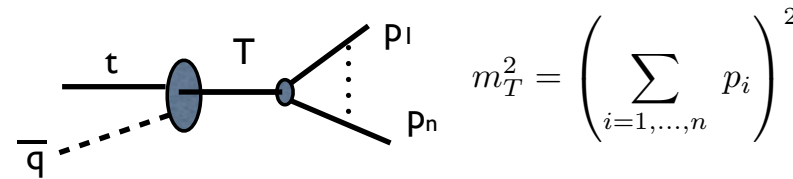
1 part irreducible: cannot be split in two by removing a single line



Definition

Definition of m_{top} from top decays

If Γ_{top} were < 1 GeV, top would hadronize before decaying. Same as b-quark

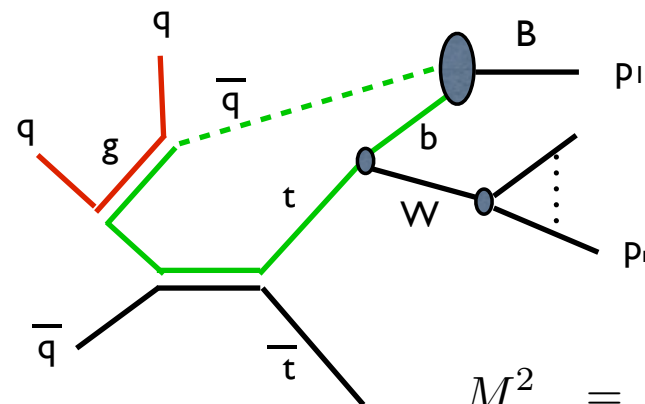


$$m_T^2 = \left(\sum_{i=1, \dots, n} p_i \right)^2$$

$$m_t = F_{\text{lattice/potential models}}(m_T, \alpha_{\text{QCD}})$$

essential clues

But Γ_{top} is > 1 GeV, top decays before hadronizing. Extra antiquarks must be added to the top-quark decay final state in order to produce the physical state whose mass will be measured



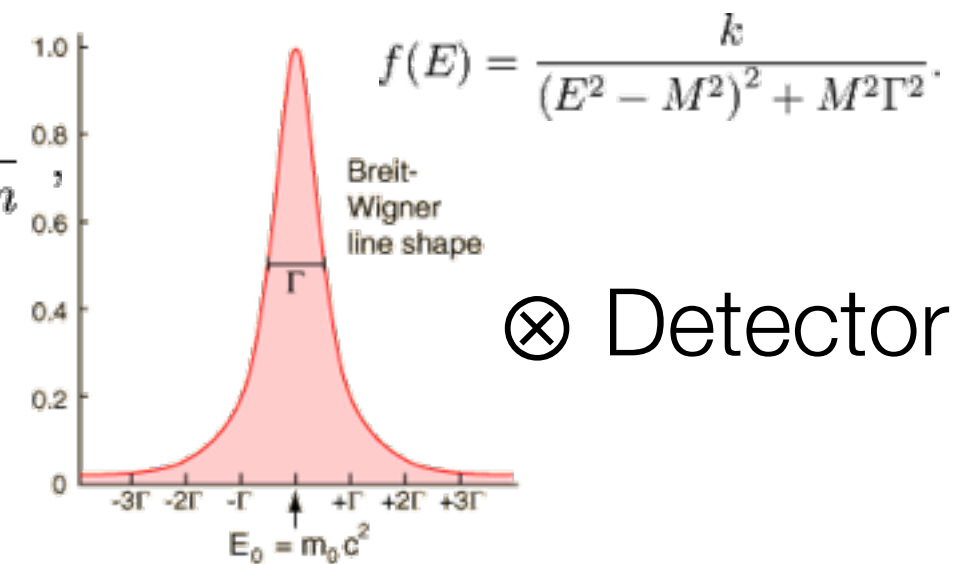
$$M_{\text{exp}}^2 = \left(\sum_{i=1, \dots, n} p_i \right)^2$$

Goal:

- correctly quantify the systematic uncertainty
- identify observables that allow to validate the theoretical modeling of hadronization in top decays
- identify observables less sensitive to these effects

As a result, M_{exp} is not equal to $m_{\text{top}}^{\text{pole}}$, and will vary in each event, depending on the way the event has evolved.

The top mass extracted in hadron collisions is not well defined below a precision of $O(\Gamma_{\text{top}}) \sim 1$ GeV



⊗ Detector

- The parameter of the Breit-Wigner for a resonance : **property of a distribution.**

(M. Mangano, TOP2013)

Theory tools to measure the MC mass

essential clues

1)

A. Hoang (TOPLHCWG, Jan 2015)

The relation between MC mass and field theoretical mass can be made more precise by measuring the MC mass using a completely independent hadron level QCD prediction of a mass-dependent observable.

Need:

- Accurate analytic QCD predictions beyond LL/LO with full control over the quark mass dependence
- Theoretical description at the hadron level for comparison with MC at the hadron level

di-jet events

Observable: $\text{Thrust in } e^+e^-$

$$\tau = 1 - \max_{\vec{n}} \frac{\sum_i |\vec{n} \cdot \vec{p}_i|}{Q}$$
$$\tau \xrightarrow{\tau \rightarrow 0} \frac{M_1^2 + M_2^2}{Q^2}$$

Start work on b-hadron mass as a test case

SUMMARIZE

Compare MC with SCET (pQCD, summation, hadronization effects) @ NNLL for Thrust

2)

G Corcella

<http://arxiv.org/pdf/1409.8592.pdf>

- For quark making hadrons well defined calculation exists to obtain pole or $\overline{\text{MS}}$ mass
- Force MC to generate a fictitious T hadron
- relate T mass to standard top decays

A. Hoang @ Moriond 2016

Conclusions & Outlook

- First serious precise MC top quark mass calibration based on e^+e^- 2-jettiness: preliminary results.
- NNLL+NLO QCD calculations based on an extension of the SCET approach concerning massive quark effects (all large logs incl. $\ln(m)$'s summed systematically).
- The Monte Carlo top mass calibration in terms of MSR mass with perturbative error $O(500 \text{ MeV})$ appears feasible at NNLL+NLO
- Intrinsic MC error seems $O(100 \text{ MeV})$.

Outlook:

- Full verified error analysis @ NNLL+NLO on the way
- Calibration for other MC generators
- Heavy jet mass, C-parameter (NNLL), pp-2 jettiness analysis (NLL) w.i.p.
- NNNLL+NNLO (2jettiness) w.i.p
- Mass (+ Yukawa coupling) conversions w. QCD + electroweak

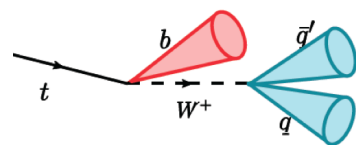
Extraction of the top mass:



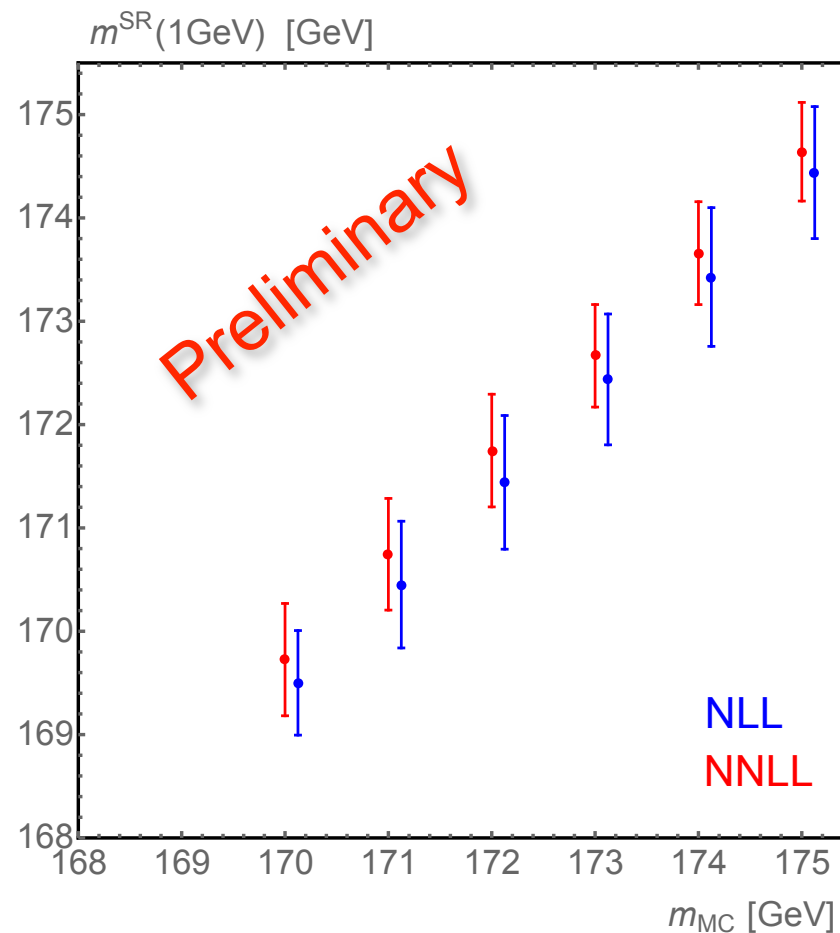
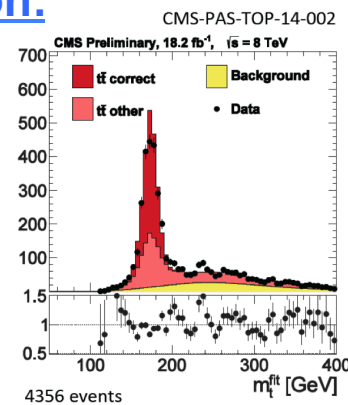
André H. Hoang's proposal:

LHC+Tevatron

Direct Reconstruction:

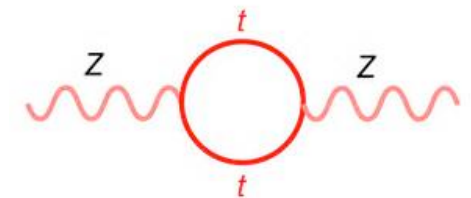


kinematic mass determination



error $\mathcal{O}(500 \text{ MeV})$

useful for
precision tests
of the SM!

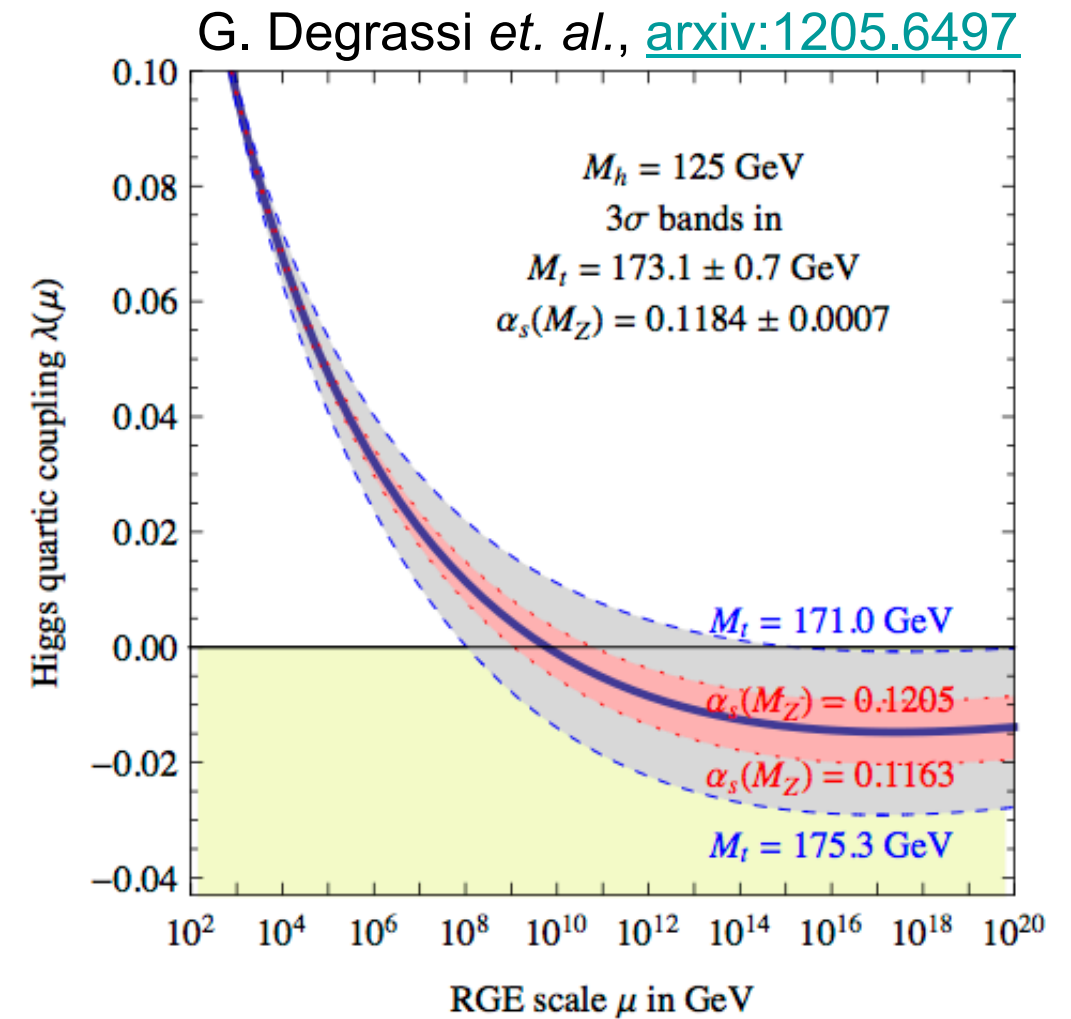


IF SM is valid up to the Planck scale

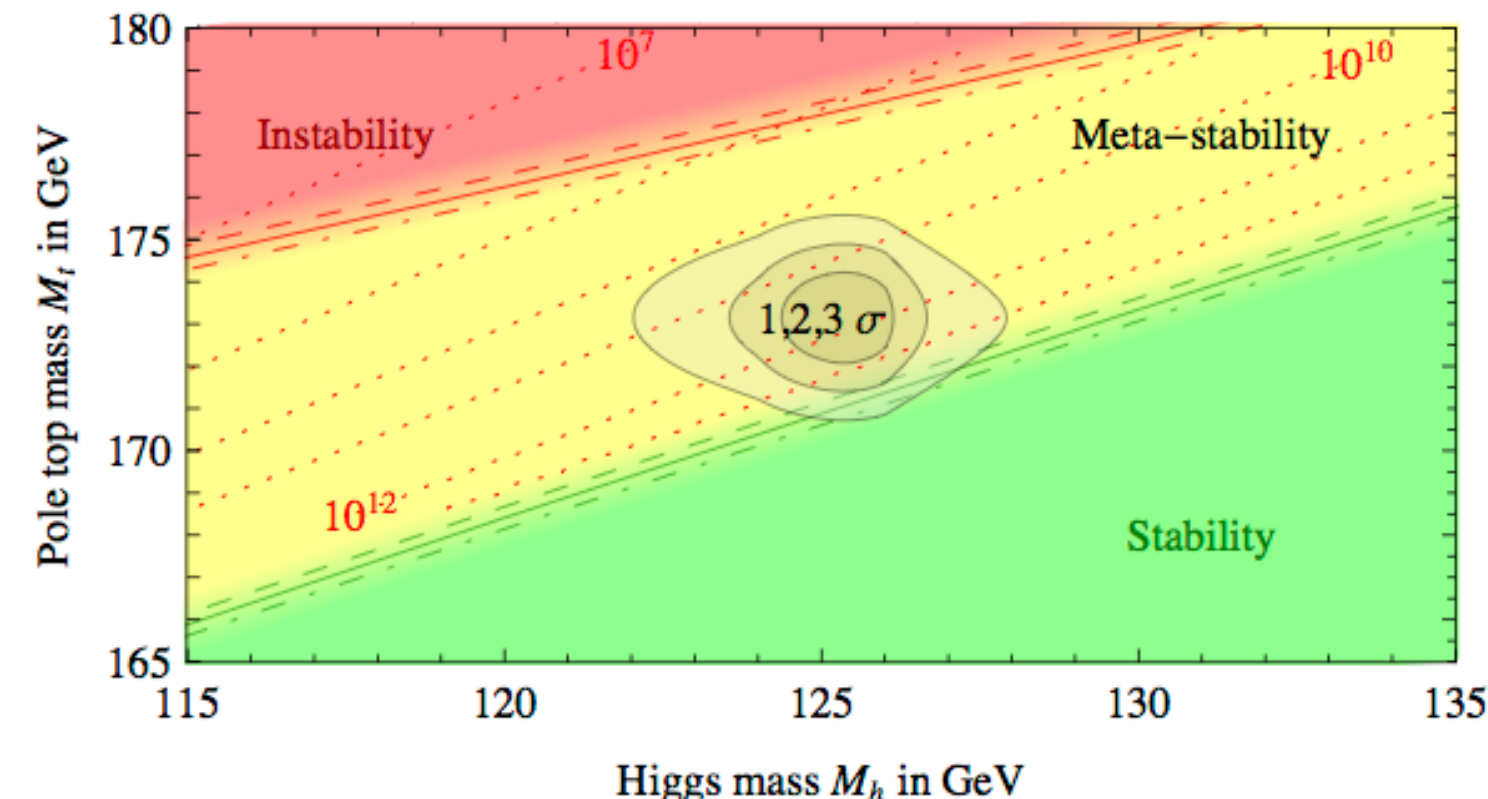
The current experimental values of m_H and m_{top} are very intriguing from the theoretical point of view:

- the Higgs quartic coupling could be rather small, vanish or even turn negative at a scale slightly smaller than the Planck scale.
- if $\lambda(\mu) > 0$
the electroweak vacuum is a global minimum
- if $\lambda(\mu) < 0$
the electroweak vacuum becomes metastable (does not become unstable over the age of the universe)

$$V = \frac{1}{2}\mu^2\Phi^2 + \frac{1}{4}\lambda\Phi^4$$



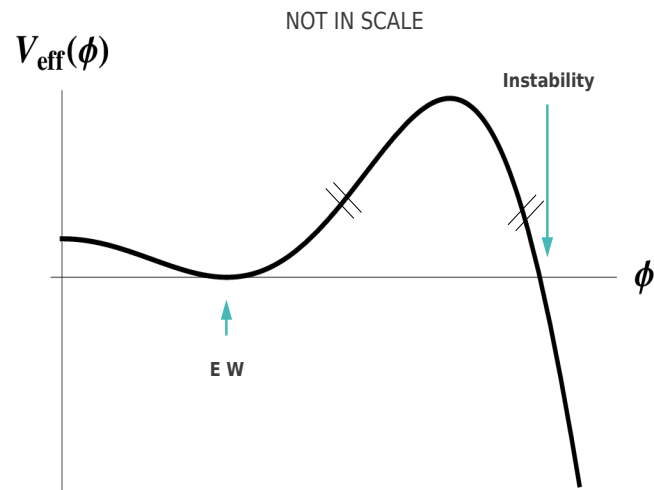
- Even in the absence of direct evidences for new physics at the LHC, the experimental information on m_H and m_{top} gives us useful hints on the structure of the theory at very short distances
- Renewed interest for precision m_{top} measurements



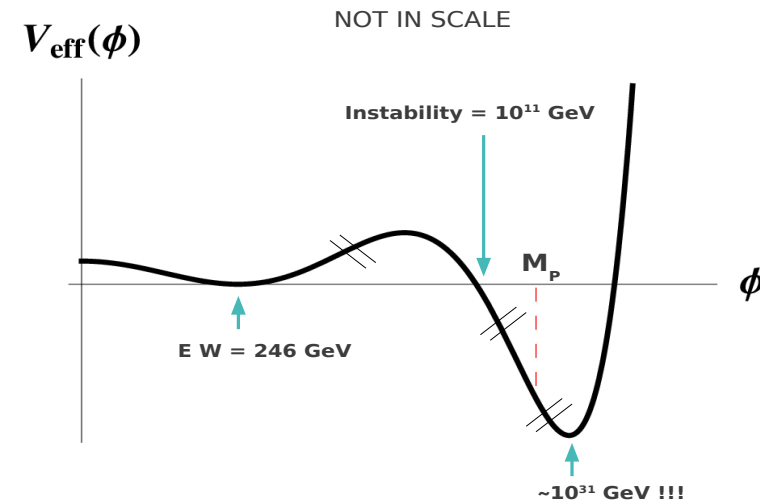
.. or how stable is the instability?

Top loop-corrections to the Higgs Effective Potential

destabilize the electroweak vacuum...



Probably worth to know that for $M_H \sim 126 \text{ GeV}$ and $M_t \sim 173 \text{ GeV}$



New minimum at $\phi_{\text{min}}^{(2)} \sim 10^{30} \text{ GeV} !!!$

SM Effective Potential extrapolated well above $M_P !!!$

Remember : you normally hear... “assume SM valid up to M_P ”

Does this make any sense ??? Is this a problem or not ???

To make sense out of this potential, people have (had??) arguments ..

1. New Physics Interactions that appear at the Planck scale M_P

eventually stabilize the potential around M_P ...

... meaning that if you take into account the presence of these new physics interactions at M_P , given in terms of higher order operators as

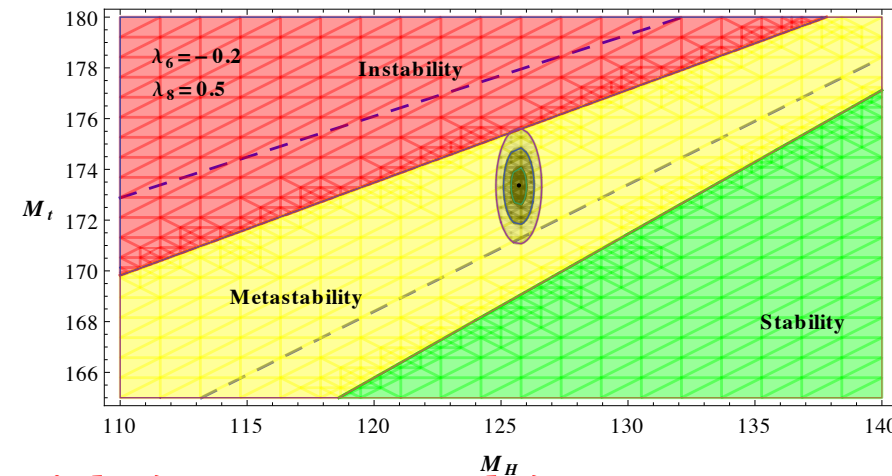
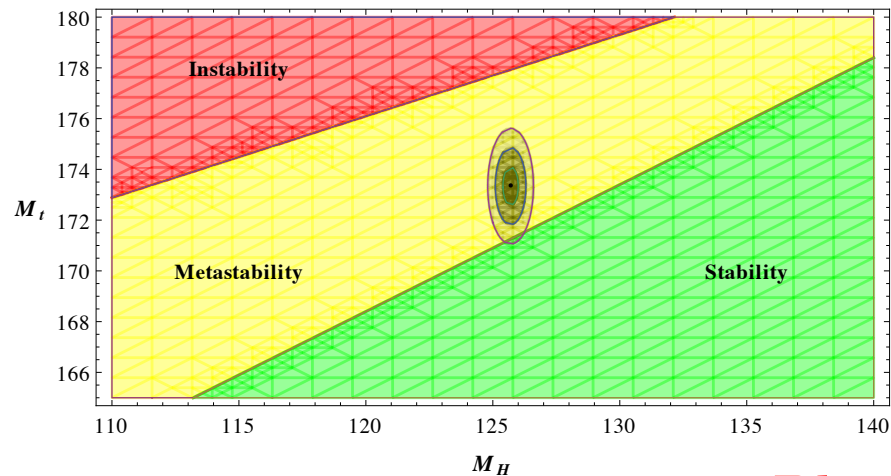
$$\frac{\phi^6}{M_P^2} \quad , \quad \frac{\phi^8}{M_P^4} \quad , \dots$$

these terms stabilize the Higgs potential around M_P ...

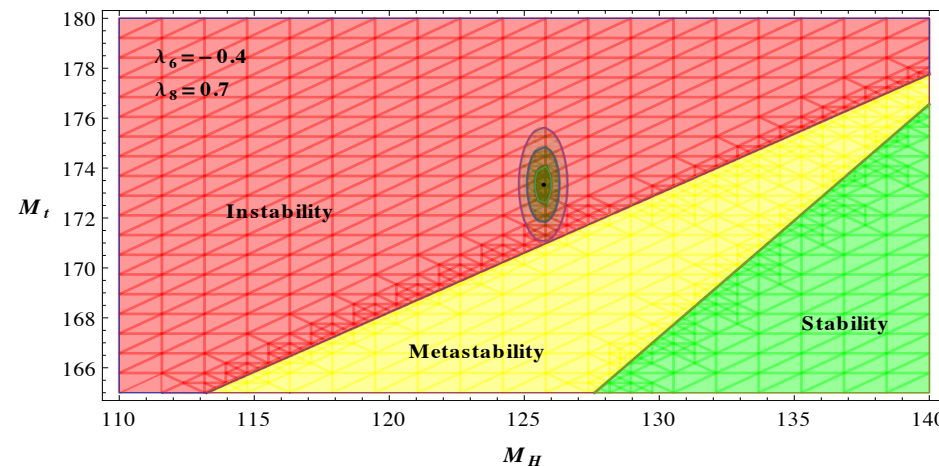
“Precision Measurements of M_t ”

Phase diagram with $\lambda_6 = 0$ and $\lambda_8 = 0$ - Literature case

Phase diagram with $\lambda_6 = -0.2$ and $\lambda_8 = 0.5$



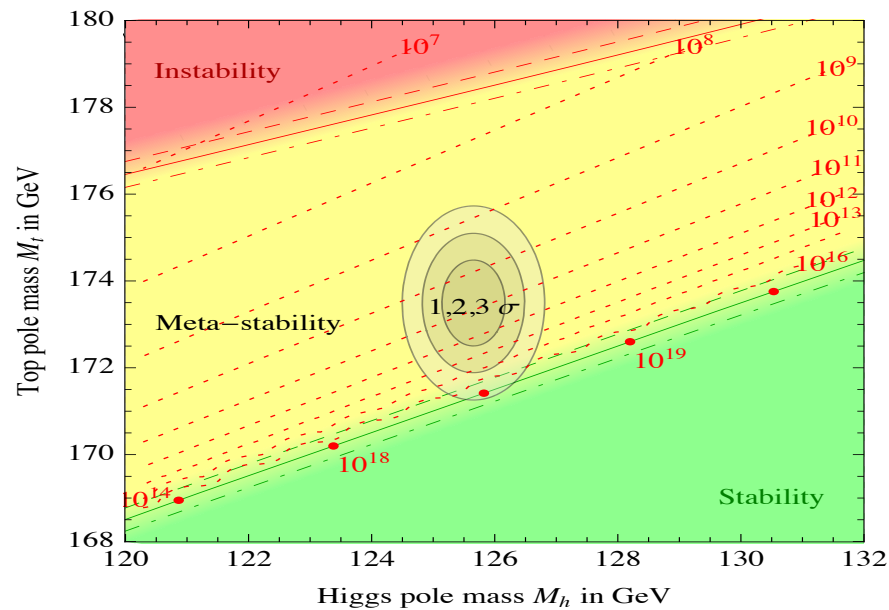
Phase diagram with $\lambda_6 = -0.4$ and $\lambda_8 = 0.7$



Precision measurements of M_t (and M_H) **cannot discriminate** between **stability, metastability or criticality** ... The knowledge of M_t and M_H alone is **not sufficient** to decide of the **EW vacuum stability condition**. We need informations on **NEW PHYSICS** in order to asses this question ...

.. or how stable is the instability?

The Phase Diagram

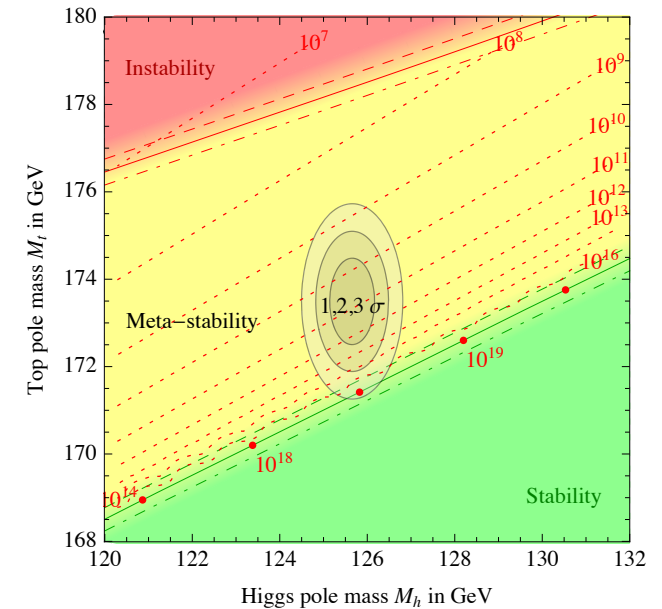
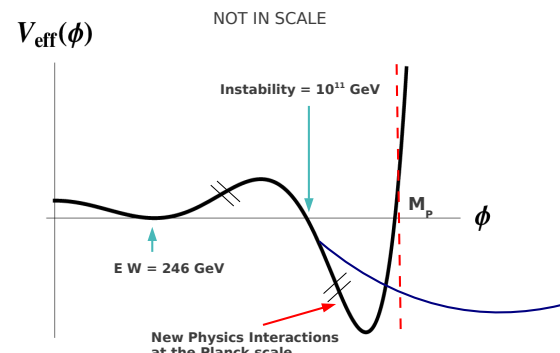


in not Universal !

... one out of different possibilities ..

The two statements :

(1) - There should be new physics at the Planck scale that stabilizes the potential



(2) - The stability phase diagram is independent on this new physics

Cannot be true at the same time

measuring the top quark mass, m_{top}

standard & “alternative” measurements

What is top mass and how is it measured?

essential clues

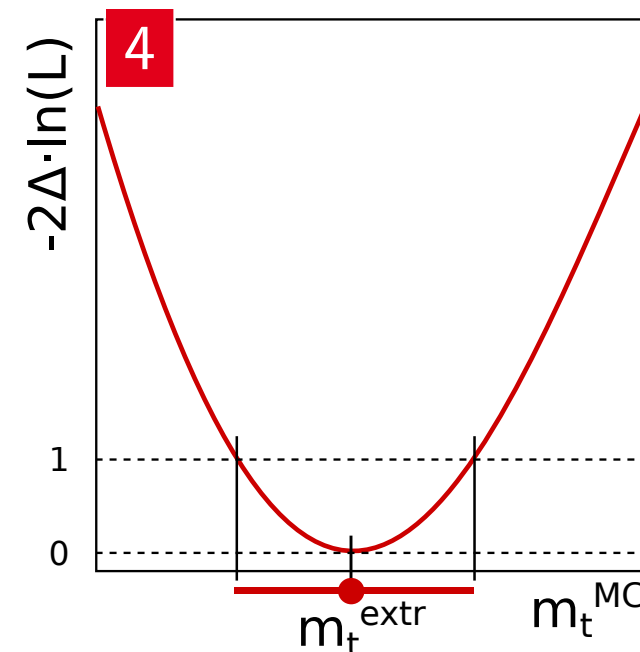
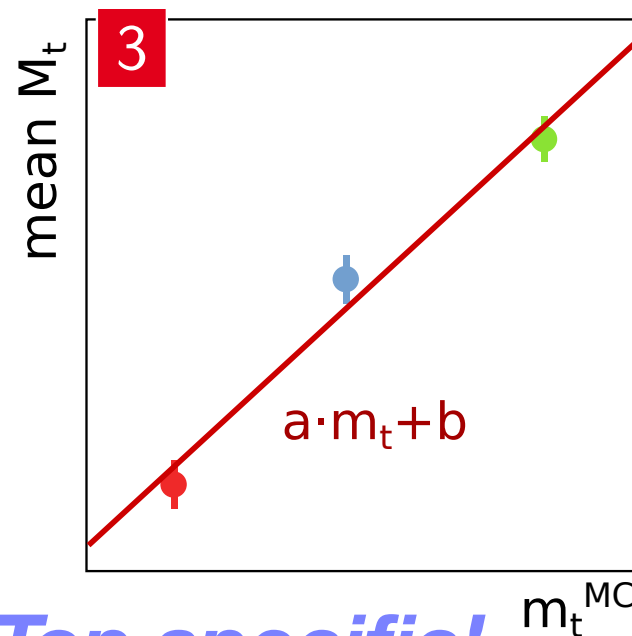
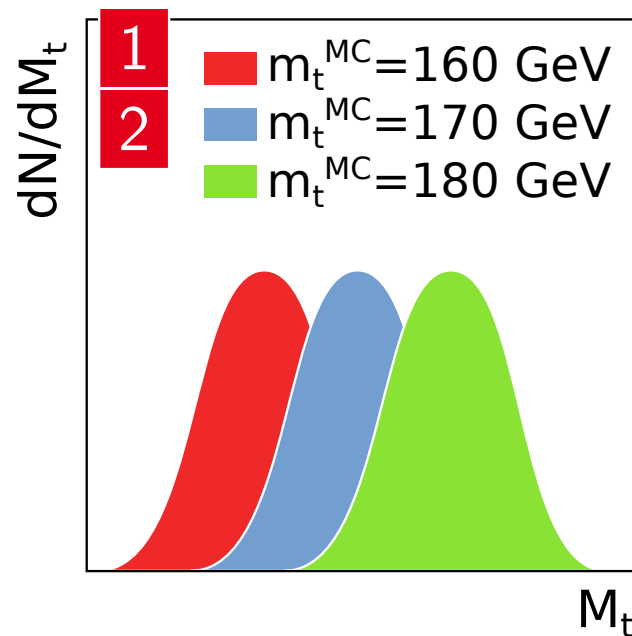
Techniques

1. **Select** $t\bar{t}$ events
2. Construct **observable** that is sensitive to m_{top}
3. **Parametrize** observable in m_t using MC simulation
4. **Fit** to data, extract mass
 - Compare predicted distribution of observable with measured one as a function of top mass associated to observable. Distance is “measured” by $-\log(\text{likelihood})$ to be **minimized**.



measured m is parameter of predicted distribution

► *template method, ideogram method, matrix element, end-point...*



(images by B. Stieger (CERN))

Top specific!

Uncertainties

- Most precise methods **need full event reconstruction**: what jets to use and assign to quark, missing energy due to neutrinos in final state
- Precision measurement dominated by systematic uncertainties: mostly jet & theory related. **Develop techniques to constrain uncertainties from data or make analysis less sensitive or insensitive.**

What is top mass and how is it measured? **essential clues**

Standard Techniques

(see *B. Kehoe, Int.J.Mod.Phys.A23:353-470,2008*)

Different (ways to find)/(format for) the likelihood as function of m_{top}

Given $p_{\text{evt}}(x|m_t, \alpha, f) = f p_{\text{top}}(x|m_t, \alpha) + (1 - f) p_{\text{bkg}}(x|\alpha)$ $x = \text{vector of observable quantities (jets, leptons, ..)}$

$$-\ln L(x_1 \dots x_n | m_t, \alpha, f) = -\sum_{i=1}^n \ln p_{\text{evt}}(x_i | m_t, \alpha, f).$$

Template Method

$p_{\text{top}}(x|m_t, \alpha)$ **Prob to observe x given m_t**
from fully simulated events (sometimes parametrized)

$\alpha = \text{vector of scale factors/nuisance parameters}$

Matrix element method : **Convolution** of matrix element with transfer functions

$$p_{\text{sig}}(x|m_t, \alpha) = \frac{1}{\sigma_{t\bar{t}}(m_t)} \int dz d\bar{z} f(z) f(\bar{z}) d\sigma_{t\bar{t}}(y, m_t) W(x|y, \alpha),$$

$d\sigma_{t\bar{t}}(y, m_t) = \frac{|\mathcal{M}|^2}{x\bar{x}s} d\Phi_6,$

Prob to observe x given parton momentum y , scale α parametrized from full simulation

LO matrix element for $q\bar{q} \rightarrow t\bar{t} \rightarrow \ell\nu b q\bar{q}'\bar{b}$

Ideogram Method **Convolution** of analytical parametrizations for theory & detector

signal-bkg discriminant *least square for reconstruction*

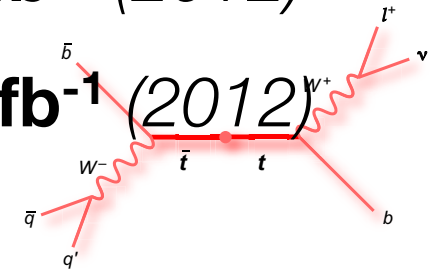
$$p_{\text{sig}}(o|m_t, \alpha) = \tilde{p}_{\text{sig}}(D) \sum_{i=1}^{24} \exp\left(-\frac{\bar{\chi}_i}{2}\right) \left[f \int G(m_i, m', \sigma_i) B(m', m_t) dm' + (1 - f) S(m_i, m_t) \right]$$

Prob of "correct" jet-parton assignment from full simulation **Gaussian** with *mean m' and width* **Breit Wigner** *mean m' and width*

Measuring top mass @ $\sqrt{s} = 7 \text{ \& } 8 \text{ TeV}$ $\int L dt = 19.7 \text{ fb}^{-1}$ (2012)

Phys. Rev. D 93, 072004 (2016)

$\int L dt = \text{XXX fb}^{-1}$ (2012)



• Select **ℓ +jets**, **all jets** and **dilepton** events

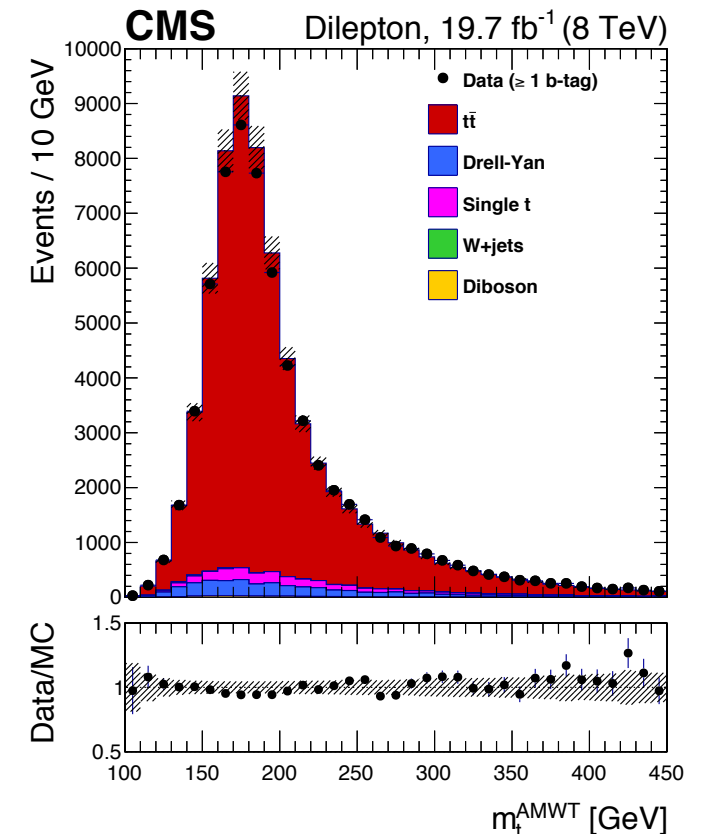
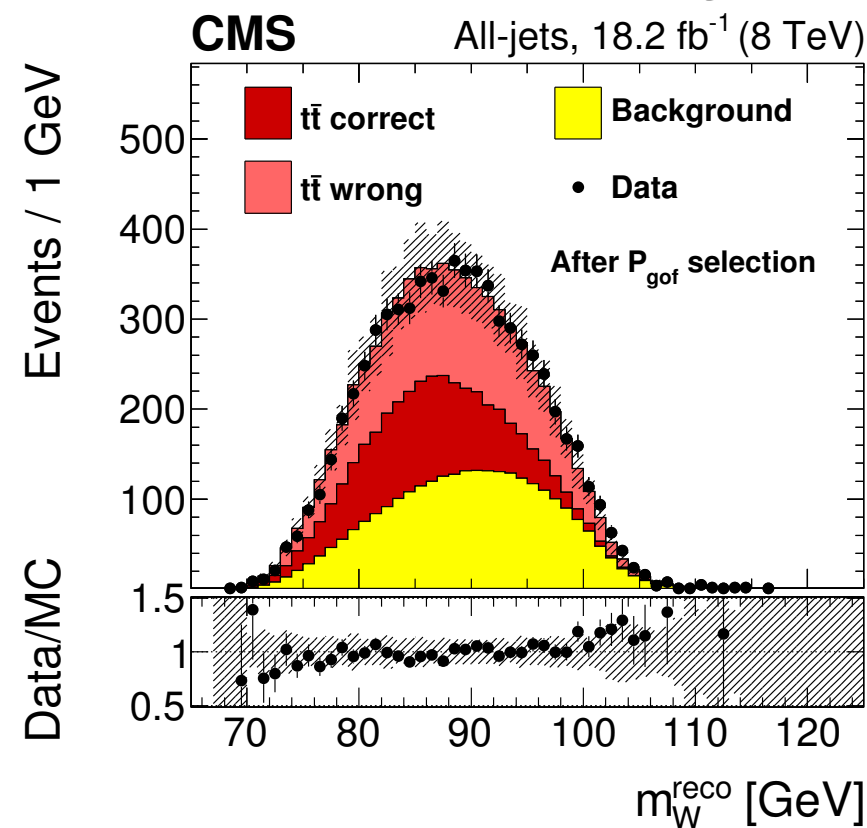
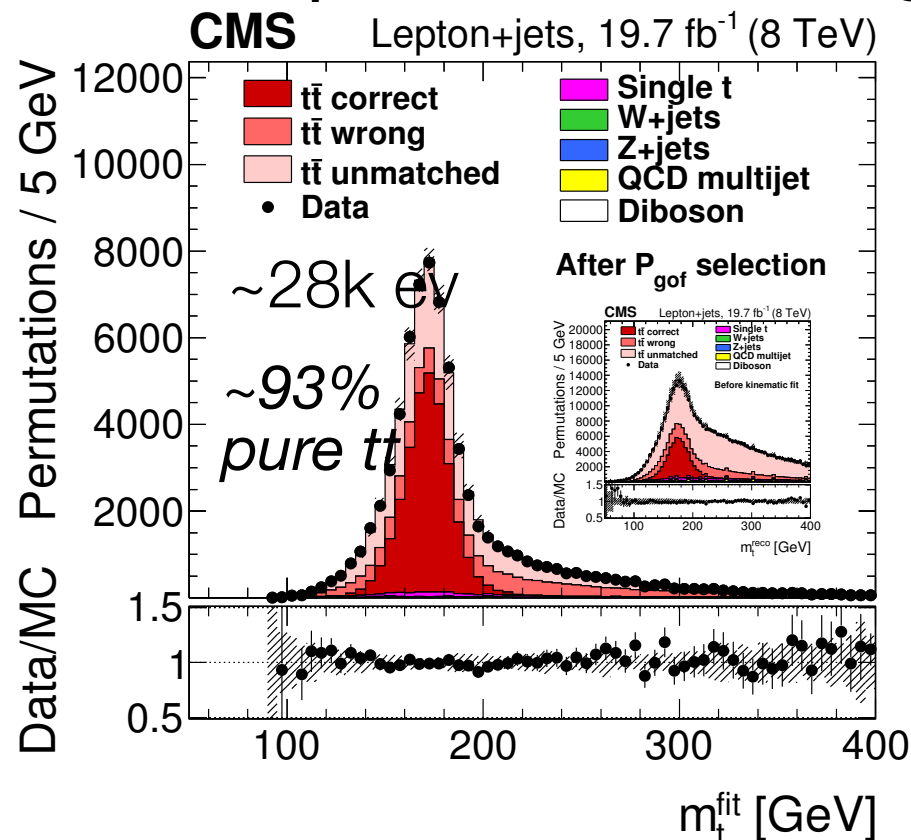
- ▶ 1 lepton (e, μ), ≥ 4 jets, 2 b -tags OR
- ▶ 2 Opp. Sign $\ell\ell$ (e, μ), ≥ 2 jets, high E_T^{miss} + veto $m_{\ell\ell}$ around m_Z , $e\mu$: high H_T OR
- ▶ ≥ 6 high p_T jets, 2 b -tags

bkg: data driven multi-jets (all jets) W +jets+fake leptons; single top, Z +jets, dibosons from simul.

Reconstruct m_{top} -sensitive variable

- **ℓ +jets or all jets**: derive $t\bar{t}$ topology with LO kinematic fit ($m_{\text{top}, \text{HAD}} = m_{\text{top}, \text{LEP}}, m_W$ constraint) → assign 4 or 6 jets
- **dilepton**: Assign b -jets to top, impose 4-mom conservation, M_W and m_{top} hypo → get neutrinos 4-mom. + weight depending on resolution and $E(\ell)$ → **Keep assignment with max. weight**
- keep event if $P_{\text{fit}} > 0.2$ or (> 0.1 & $\text{DR}(\text{bb}) > 2.0$)

• $m_{\text{top}}^{\text{reco}}$ from fit-assigned but unconstrained jets or from kine solution



Measuring top mass @ $\sqrt{s} = 8 \text{ TeV}$

$\int L dt = 19.7 \text{ fb}^{-1} (2012)$

Phys. Rev. D 93, 072004 (2016)

- (ℓ +jets or all jets)
- m_{top} , **JSF**: global jet en. scale factor, jet-parton assignment in kine fit
- ideogram (= event likelihood) for $m_{\text{top}}^{\text{reco}}$ from pdfs & kine-fit info: function of m_{top} , **JSF**
- Build simulated prob. density function (pdf/templates) of $m_{\text{top}}^{\text{reco}}$ as a function of
 - ℓ +jets
 - dilepton
 - m_{top}
- For each event derive
 - event likelihood for $m_{\text{top}}^{\text{reco}}$ from pdfs: function of m_{top} , **JSF**

$$\sum_i P_i [f P_{\text{sig}}() + (1-f_{\text{sig}}) P_{\text{bkg}}]$$

- Maximize likelihood of *data set* as function of

$$\mathcal{L}(\text{sample} | m_t, \text{JSF}) = \prod_{\text{events}} \mathcal{L}(\text{event} | m_t, \text{JSF})^{w_{\text{event}}}$$

sum of goodness of fit
less weight to incorrect
permutations

product of ev, lkl

1D

2D

hybrid

m_{top} ,
JSF=1

m_{top} , **JSF**

ideogram \rightarrow ideogram $\cdot P(\text{JSF})$

$P(\text{JSF}) = \text{Gauss}(1, \text{width of Jet Energy Correction})$

m_{top} ,
JSF=1

Measuring top mass @ $\sqrt{s} = 8 \text{ TeV}$

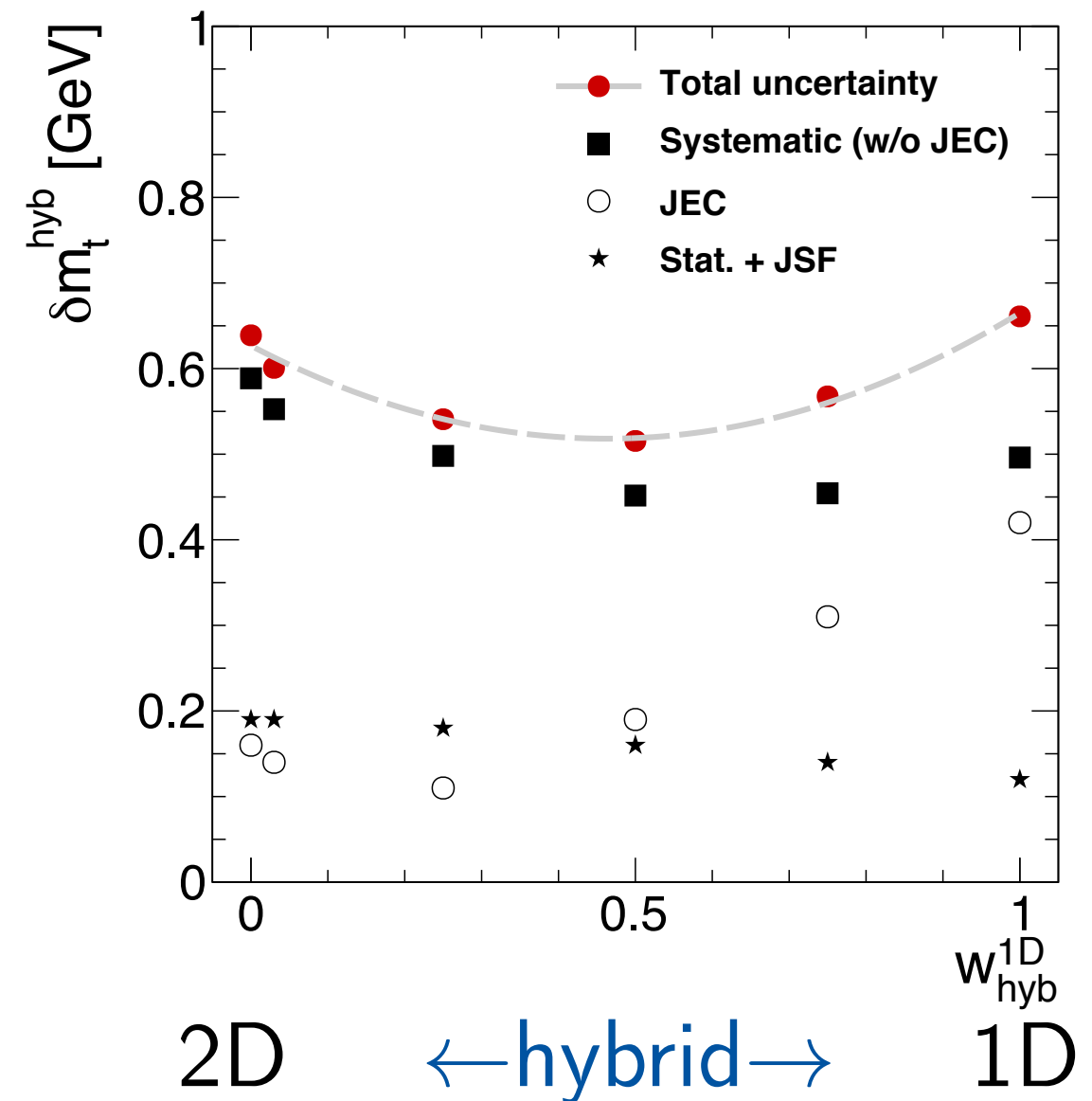
$\int L dt = \mathbf{19.7 \text{ fb}^{-1}}$ (2012)

Phys. Rev. D 93, 072004 (2016)

- Hybrid is the most precise method: includes more info about JSF

- Found **anti-correlated uncertainties** between 1D and 2D fits
 - JEC, JER, pileup, radiation, top p_T , ...
- Reason: Flat **JSF overcorrects** for uncertainties that mostly affect the light jets (due to flavor- and/or p_T -dependency)
- Methods for improvement:
 - Use p_T -dependent JSF (CDF)
 - BLUE combination of 1D and 2D (ATLAS)
 - Weigh down JSF constraint
 - Add **external JES constraint** (D0, CMS)
- Trade-off between JEC and other unc., minimum in-between

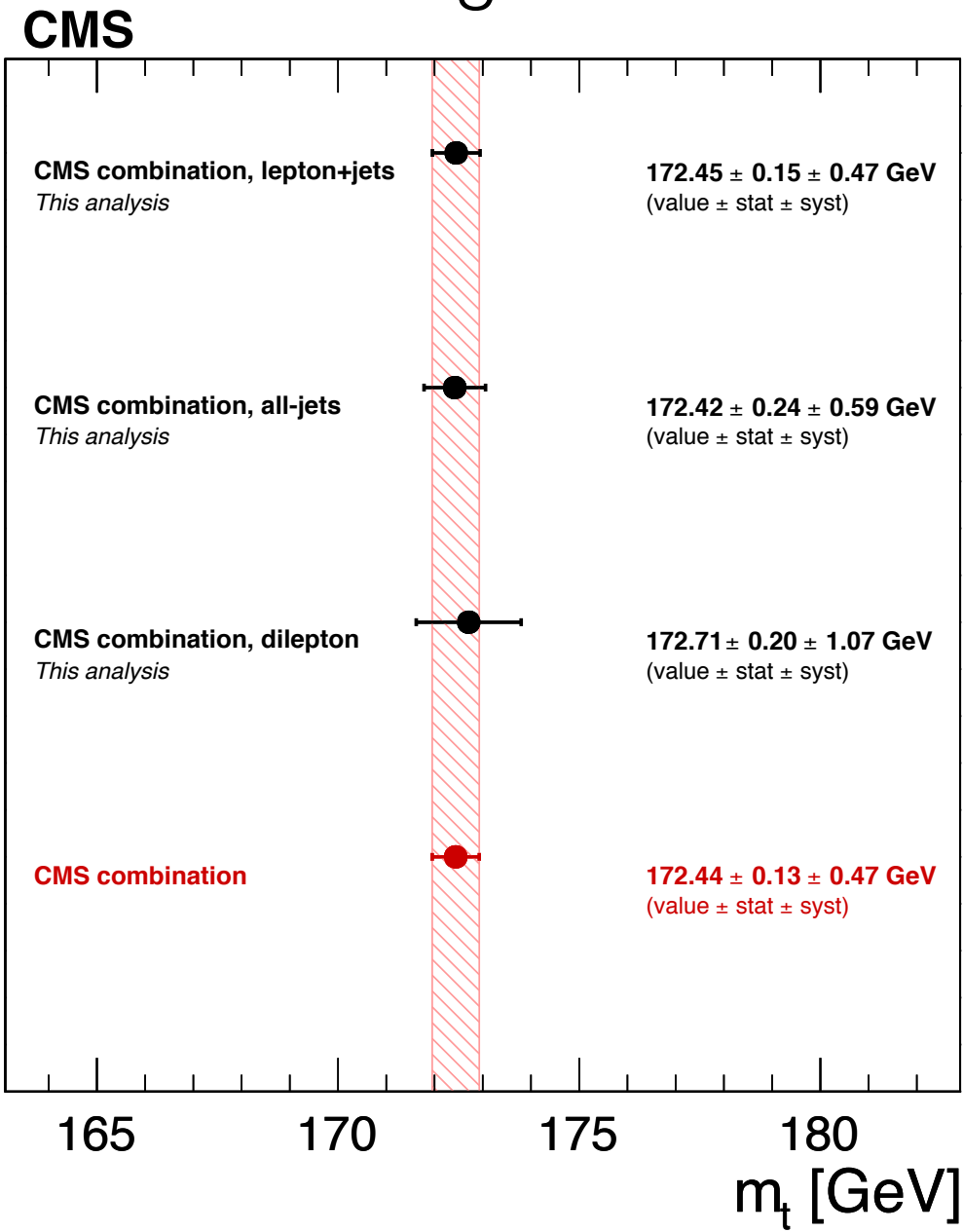
(M. Seidel , LHCTopWG meeting, 17th Nov 2015)



Measuring top mass @ $\sqrt{s} = 7 \text{ \& } 8 \text{ TeV}$ $\int L dt = 19.7 \text{ fb}^{-1} \text{ (2012)}$

Phys. Rev. D 93, 072004 (2016)

Combine 3 measurements @ 8 TeV
with 4 results at 7 TeV: use BLUE
including correlations



$m_t = 172.44 \pm 0.13 \text{ (stat)} \pm 0.47 \text{ (syst) GeV}$ with $\chi^2/\text{ndf} = 2.5/6$

$\delta m_{\text{top}} / m_{\text{top}} \sim 0.28\%$

TABLE IX. Category breakdown of systematic uncertainties for the combined mass result. The uncertainties are expressed in GeV.

Combined m_t result	$\delta m_t \text{ (GeV)}$
Experimental uncertainties	
Method calibration	0.03
Jet energy corrections	
–JEC: intercalibration	0.01
–JEC: <i>in situ</i> calibration	0.12
–JEC: uncorrelated nonpileup	0.10
Lepton energy scale	0.01
E_T^{miss} scale	0.03
Jet energy resolution	0.03
b tagging	0.05
Pileup	0.06
Backgrounds	0.04
Trigger	< 0.01
Modeling of hadronization	
JEC: flavor	0.33
b jet modeling	0.14
Modeling of perturbative QCD	
PDF	0.04
Ren. and fact. scales	0.10
ME-PS matching threshold	0.08
ME generator	0.11
Top quark p_T	0.02
Modeling of soft QCD	
Underlying event	0.11
Color reconnection modeling	0.10
Total systematic	0.47
Statistical	0.13
Total Uncertainty	0.48

First M_{top} World average

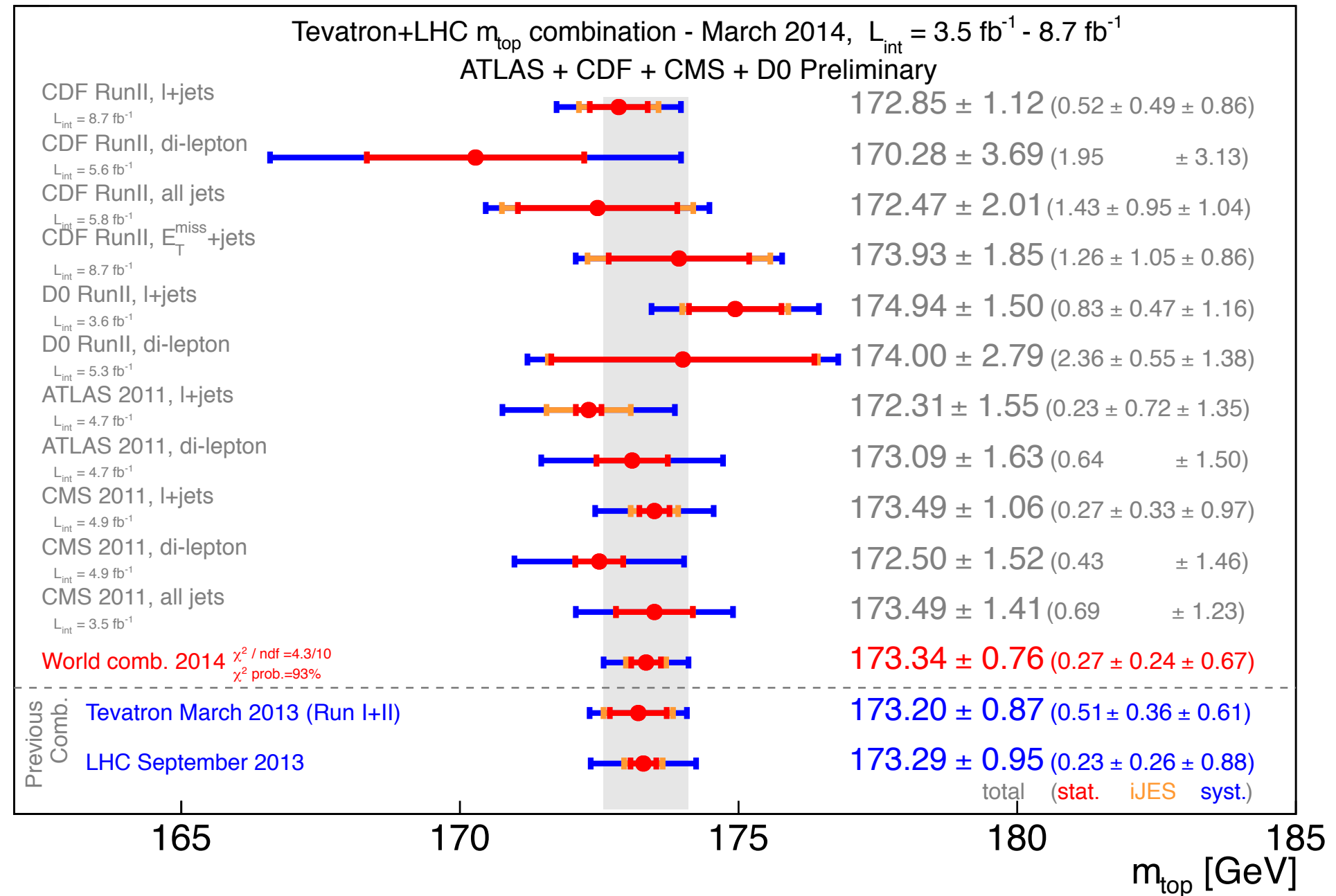
- **First combination** of m_{top} from **1.96 TeV $p\bar{p}$ & 7 TeV pp** collisions

[arxiv:1403.4427\[hep-ex\]](https://arxiv.org/abs/1403.4427)

- Tevatron: up to 8.7/fb
- LHC: up to 4.9/fb
- Use most precise measurement in each channel by each experiment
- **δm_{top} reduced by**
 - ▶ 28% w.r.t. most precise single input
 - ▶ 13% w.r.t to previous most precise combination

- **Systematics dominated**

- ▶ $t\bar{t}$ modelling
- ▶ energy scale of light and b-



$$m_{top} = 173.34 \pm 0.27(\text{stat}) \pm 0.71(\text{syst}) \text{ GeV}$$

$$\delta m_{top} / m_{top} \sim 0.44\%$$

First M_{top} World average : uncertainties & correlations

arxiv:1403.4427[hep-ex]

- Vary correlation scenarios
(m_{top} , δm_{top}) **stable** within uncertainties

GeV

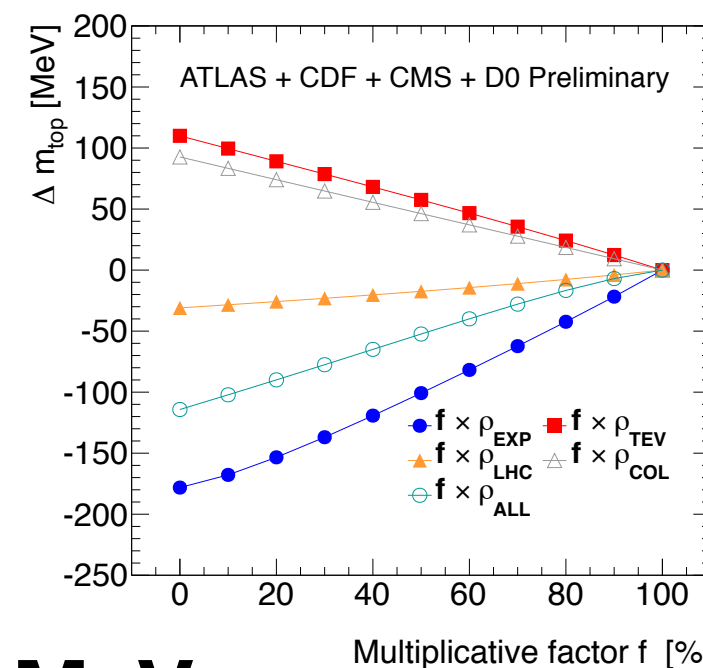
Uncertainty	World Combination
m_{top}	173.34
Stat	0.27
iJES	0.24
stdJES	0.20
flavourJES	0.12
bJES	0.25
MC	0.38
Rad	0.21
CR	0.31
PDF	0.09
DetMod	0.10
b -tag	0.11
LepPt	0.02
BGMC	0.10
BGData	0.07
Meth	0.05
MHI	0.04
Total Syst	0.71
Total	0.76

- Major effort to classify **uncertainties & define**

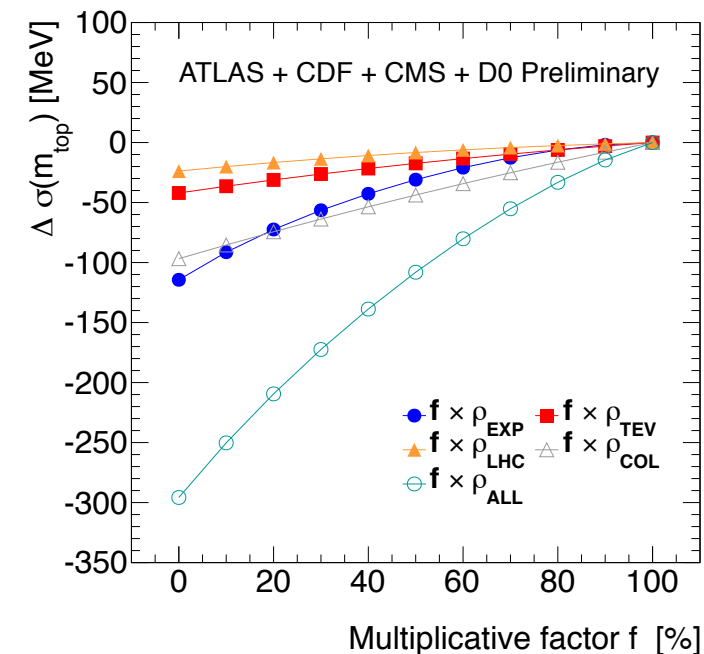
within same experiment *within same collider* *between colliders*

	ρ_{EXP}				ρ_{LHC}	ρ_{TEV}	ρ_{COL}	
	ρ_{CDF}	ρ_{D0}	ρ_{ATL}	ρ_{CMS}			$\rho_{ATL-TEV}$	$\rho_{CMS-TEV}$
Stat	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0
iJES	0.0	1.0	0.0	0.0	0.0	0.0	0.0	0.0
stdJES	1.0	1.0	1.0	1.0	0.0	0.0	0.0	0.0
flavourJES	1.0	1.0	1.0	1.0	0.0	0.0	0.0	0.0
bJES	1.0	1.0	1.0	1.0	0.5	1.0	1.0	0.5
MC	1.0	1.0	1.0	1.0	1.0	1.0	1.0	1.0
Rad	1.0	1.0	1.0	1.0	1.0	1.0	0.5	0.5
CR	1.0	1.0	1.0	1.0	1.0	1.0	1.0	1.0
PDF	1.0	1.0	1.0	1.0	1.0	1.0	0.5	0.5
DetMod	1.0	1.0	1.0	1.0	0.0	0.0	0.0	0.0
b -tag	1.0	1.0	1.0	1.0	0.0	0.0	0.0	0.0
LepPt	1.0	1.0	1.0	1.0	0.0	0.0	0.0	0.0
BGMC [†]	1.0	1.0	1.0	1.0	1.0	1.0	1.0	1.0
BGData	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0
Meth	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0
MHI	1.0	1.0	1.0	1.0	1.0	0.0	0.0	0.0

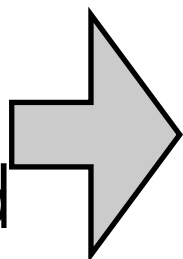
MeV



MeV

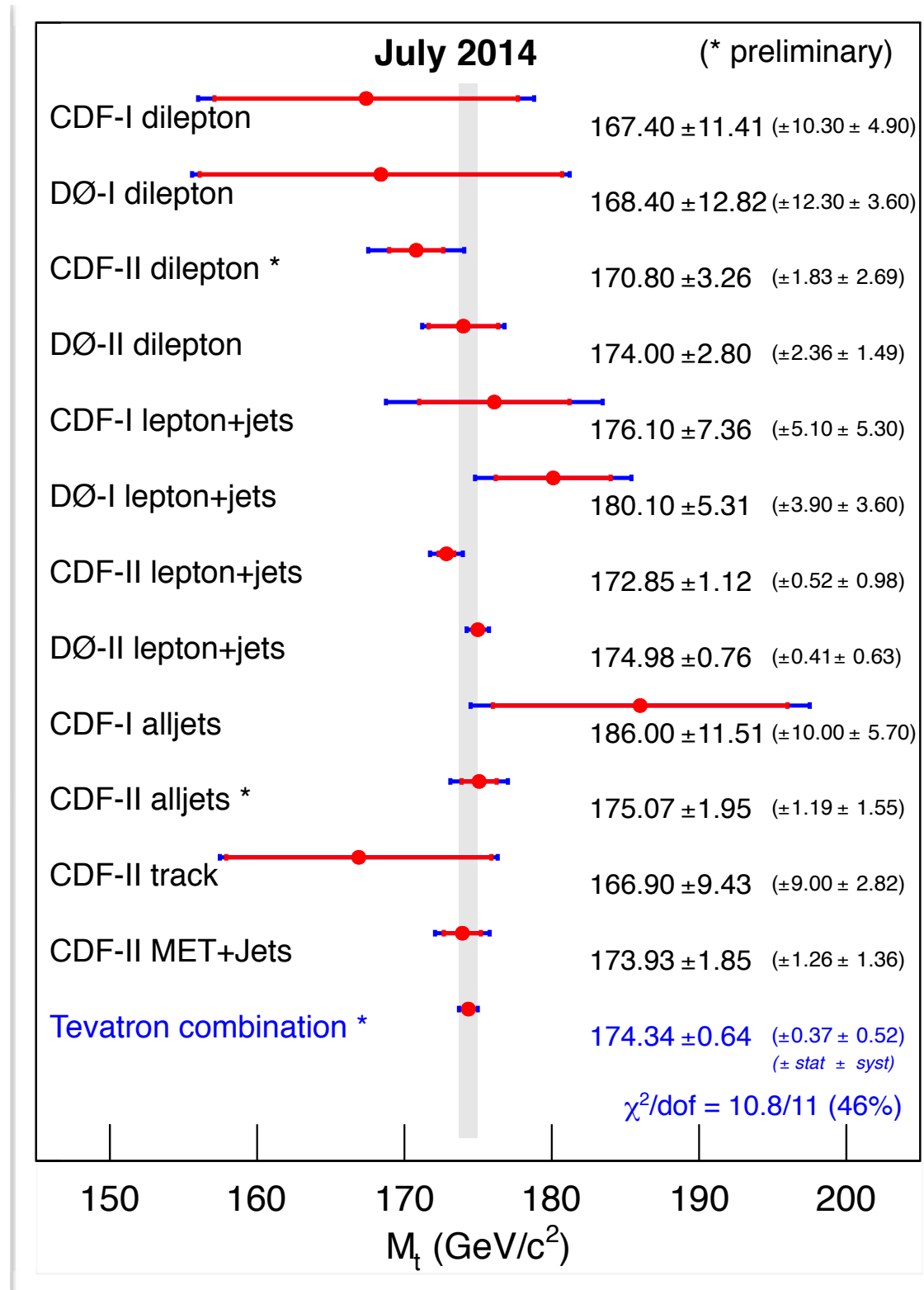


11 input columns
combined
with



Tevatron M_{top} combination

<http://arxiv.org/abs/1407.2682>

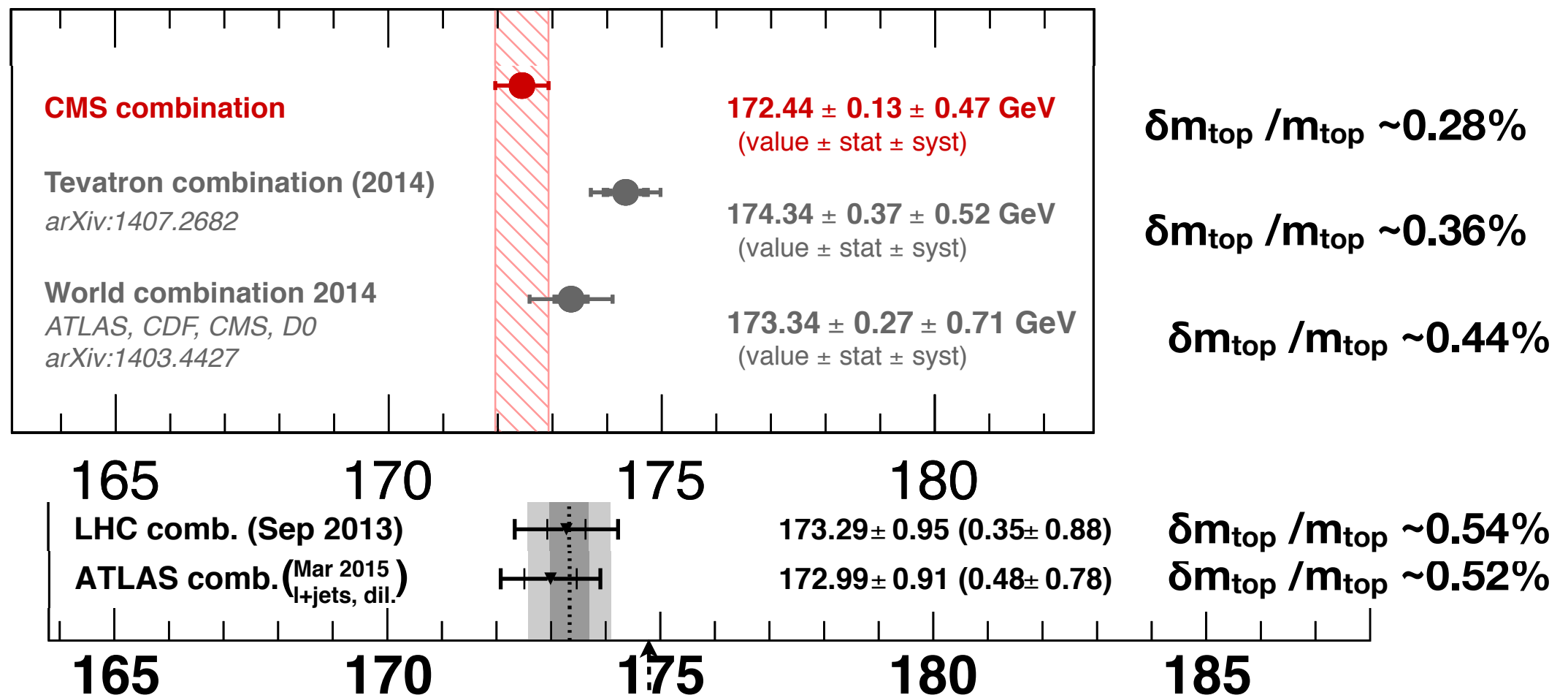


$\delta m_{top} / m_{top} \sim 0.36\%$

Global most precise M_{top} picture (Mar 2016)

CMS Combination (Sept 2015)
 latest D0 (Jan 2015)
 ATLAS Run1 (Mar 2015)
 World (March 2014),
 Tevatron (July 2014),
 LHC (Sept 2013)

LHC is not
 including latest
 from CMS +
 new in
 2014-2015



D0 latest (Jan 2015) $m_t = 174.98 \pm 0.58$ (stat + JES) ± 0.49 (syst) GeV $\delta m_{\text{top}} / m_{\text{top}} \sim 0.43\%$

Measure $m_{\text{top}}^{\text{pole}}$ from $\sigma_{t\bar{t}}$ - dilepton - $\sqrt{s} = 7 \text{ \& } 8 \text{ TeV}$

A=ATLAS, C=CMS

$\ell\nu\ell\nu b\bar{b}$

$\int L dt \sim 20.3 \text{ fb}^{-1} \text{ (2012)}$

$\int L dt \sim 4.6 \text{ fb}^{-1} \text{ (2011)}$

Eur.Phys.J. C74 (2014) 3109

[Phys. Lett. B 728 \(2014\) 496-517](#)

[Phys. Lett. B 738 \(2014\) 526 \(Corrigendum\)](#)

Idea

- $\sigma_{t\bar{t}}$ depends on $m_{\text{top}}^{\text{pole}}$ \rightarrow Comparing the $\sigma_{t\bar{t}}^{\text{meas}} (m_{\text{top}}^{\text{MC}})$ to predictions expressed as $\sigma_{t\bar{t}}^{\text{theo}} (m_{\text{top}}^{\text{pole}})$ allows determination of $m_{\text{top}}^{\text{pole}}$

Identify $m_{\text{top}}^{\text{pole}} = m_{\text{top}}^{\text{MC}} \pm 1 \text{ GeV}$ (propagate uncertainty)
&

Assume that $\sigma_{t\bar{t}}$ is not affected by non SM physics

The theory part

- $\sigma_{t\bar{t}}^{\text{theo}} (m_{\text{top}}^{\text{pole}})$ is determined by calculating $\sigma_{t\bar{t}}^{\text{theo}}$ at NNLO+NNLL for different $m_{\text{top}}^{\text{pole}}$ values & parametrizing the result

$$(A) \quad \sigma_{t\bar{t}}^{\text{theo}} (m_t^{\text{pole}}) = \sigma (m_t^{\text{ref}}) \left(\frac{m_t^{\text{ref}}}{m_t^{\text{pole}}} \right)^4 (1 + a_1 x + a_2 x^2) \quad \begin{aligned} m_t^{\text{ref}} &= 172.5 \text{ GeV} \\ x &= (m_t^{\text{pole}} - m_t^{\text{ref}}) / m_t^{\text{ref}} \end{aligned}$$

(C) third-order polynomial in $m_{\text{top}}^{\text{pole}}$ divided by $(m_{\text{top}}^{\text{pole}})^4$

Measure $m_{\text{top}}^{\text{pole}}$ from $\sigma_{t\bar{t}}$ $\sqrt{s} = 7 \text{ \& } 8 \text{ TeV}$ $A=\text{ATLAS}, C=\text{CMS}$

$\ell\nu\ell\nu b\bar{b}$

$\int L dt \sim 4.6 \text{ fb}^{-1} (2011) \text{ \& } 20.3 \text{ fb}^{-1} (2012)$

Eur.Phys.J. C74 (2014) 3109

The Experimental part

- Standard dilepton selection: 2 OS lept (e^+e^- , $e\mu$, $\mu\mu$) (C) or ($e\mu$) (A)
 - ▶ C: ≥ 2 jets, high E_T^{miss} + veto $m_{\ell\ell}$ around m_Z , $e\mu$: high H_T
 - ▶ A: no cuts on $N_{\text{jet}}, E_T^{\text{miss}}, H_T$
- Extract $\sigma_{t\bar{t}}(m_{\text{top}}^{\text{MC}})$ by
- C: correcting bkg-subtracted $N_{t\bar{t}}$ with lumi and efficiency
- A: simultaneous fit for $\sigma_{t\bar{t}}$ and ϵ_b , efficiency to select, reco and b-tag a jet in 1-b-tag and 2-b-tag samples

$$\sigma_{t\bar{t}} = \frac{N - N_B}{\mathcal{A} \cdot \mathcal{L}}$$

$$\begin{aligned} N_1 &= \mathcal{L} \sigma_{t\bar{t}} \epsilon_{e\mu} 2\epsilon_b (1 - C_b \epsilon_b) + N_1^{\text{bkg}} \\ N_2 &= \mathcal{L} \sigma_{t\bar{t}} \epsilon_{e\mu} C_b \epsilon_b^2 + N_2^{\text{bkg}} \end{aligned}$$

[*Phys. Lett. B 728 \(2014\) 496-517*](#)

[*Phys. Lett. B 738 \(2014\) 526 \(Corrigendum\)*](#)

change $m_{\text{top}}^{\text{MC}} \rightarrow$ event kinematic properties of $t\bar{t}$ change \rightarrow acceptances/efficiencies
($A, \epsilon_{\mu\nu}$) & single top bkg ($N_B, N_{i,B}$) vary correction yield $\rightarrow \sigma_{t\bar{t}} = \sigma_{t\bar{t}}(m_{\text{top}}^{\text{MC}})$

Measure $m_{\text{top}}^{\text{pole}}$ from $\sigma_{t\bar{t}}$

$\int L dt \sim 4.6 \text{ fb}^{-1}$ (2011) & 20.3 fb^{-1} (2012)

$\ell\nu\ell\nu b\bar{b}$

A=ATLAS, C=CMS

Eur.Phys.J. C74 (2014) 3109

Phys. Lett. B 728 (2014) 496-517

Phys. Lett. B 738 (2014) 526 (Corrigendum)

• **Extracting $m_{\text{top}}^{\text{pole}}$ by incorporating theory and experimental uncertainties**

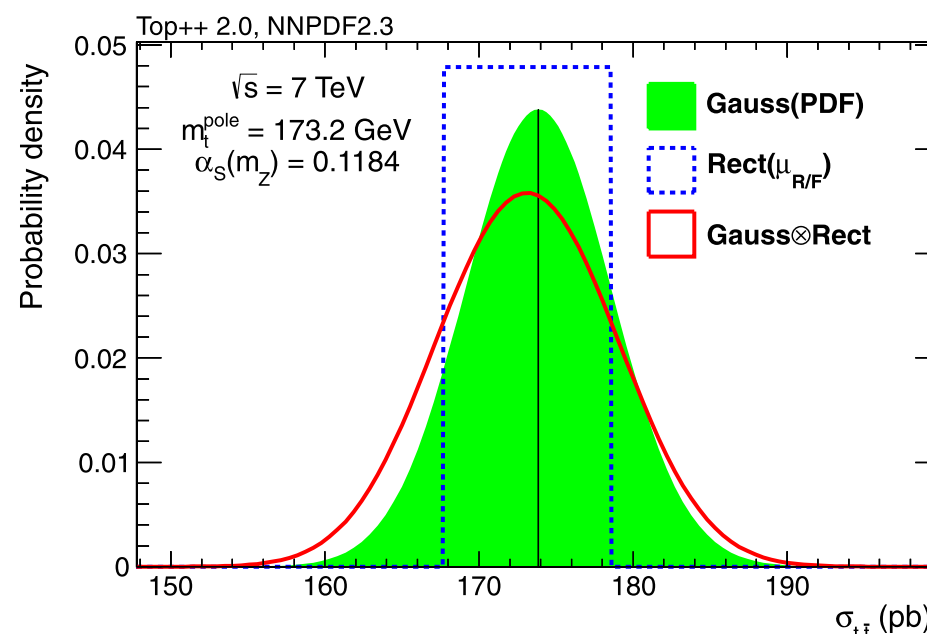
1. Determine Bayesian prior $f_{\text{th}}(\sigma_{t\bar{t}}(m_{\text{top}}^{\text{pole}})) = \text{prob. of } \sigma_{t\bar{t}} \text{ as function of } m_{\text{top}}^{\text{pole}}$

CMS
Gaussian in $\sigma_{t\bar{t}}$
with std.dev =
PDF uncertainty

\otimes

=

constant over ren/fact
scale variation range of
 $\sigma_{t\bar{t}}$, zero elsewhere



$$\frac{1}{2(\sigma_{t\bar{t}}^{(h)} - \sigma_{t\bar{t}}^{(l)})} \left(\text{erf} \left[\frac{\sigma_{t\bar{t}}^{(h)} - \sigma_{t\bar{t}}}{\sqrt{2}\delta_{\text{PDF}}} \right] - \text{erf} \left[\frac{\sigma_{t\bar{t}}^{(l)} - \sigma_{t\bar{t}}}{\sqrt{2}\delta_{\text{PDF}}} \right] \right)$$

$$\sigma_{t\bar{t}}^{(h),(l)} = \sigma_{t\bar{t}}^{(h),(l)}(m_{\text{top}}^{\text{pole}})$$

ATLAS

$$G(\sigma'_{t\bar{t}} | \sigma_{t\bar{t}}^{\text{theo}}(m_t^{\text{pole}}), \rho_{\text{theo}}^{\pm})$$

Asymmetric Gaussian in $\sigma_{t\bar{t}}$
with mean $\sigma_{t\bar{t}}^{\text{theo}}(m_{\text{top}}^{\text{pole}})$ and
stand dev = quadrature sum of
PDF+ α_s and scale variations

2. Multiply by exp. likelihood $f_{\text{exp}}(\sigma_{t\bar{t}}^{\text{meas}}(m_{\text{top}}^{\text{pole}}))$ $\sigma_{t\bar{t}}^{\text{meas}}$ as a function of $m_{\text{top}}^{\text{pole}}$

(A,C)

$$G(\sigma'_{t\bar{t}} | \sigma_{t\bar{t}}(m_t^{\text{pole}}), \rho_{\text{exp}})$$

Gaussian in $\sigma_{t\bar{t}}$ with mean $\sigma_{t\bar{t}}^{\text{meas}}(m_{\text{top}}^{\text{pole}})$
and stand dev = exp uncertainty

3. Find likelihood for $m_{\text{top}}^{\text{pole}}$ by marginalizing the posterior with respect to $\sigma_{t\bar{t}}$

$$\mathcal{L}(m_{\text{top}}^{\text{pole}}) = \int f_{\text{th}}(\sigma_{t\bar{t}}, m_{\text{top}}^{\text{pole}}) f_{\text{exp}}(\sigma_{t\bar{t}}, m_{\text{top}}^{\text{pole}}) d\sigma_{t\bar{t}}$$

4. Derive $m_{\text{top}}^{\text{pole}}$ value & interval : symmetric interval around max of $\mathcal{L}(m_{\text{top}}^{\text{pole}})$

Measure $m_{\text{top}}^{\text{pole}}$ from $\sigma_{t\bar{t}}$

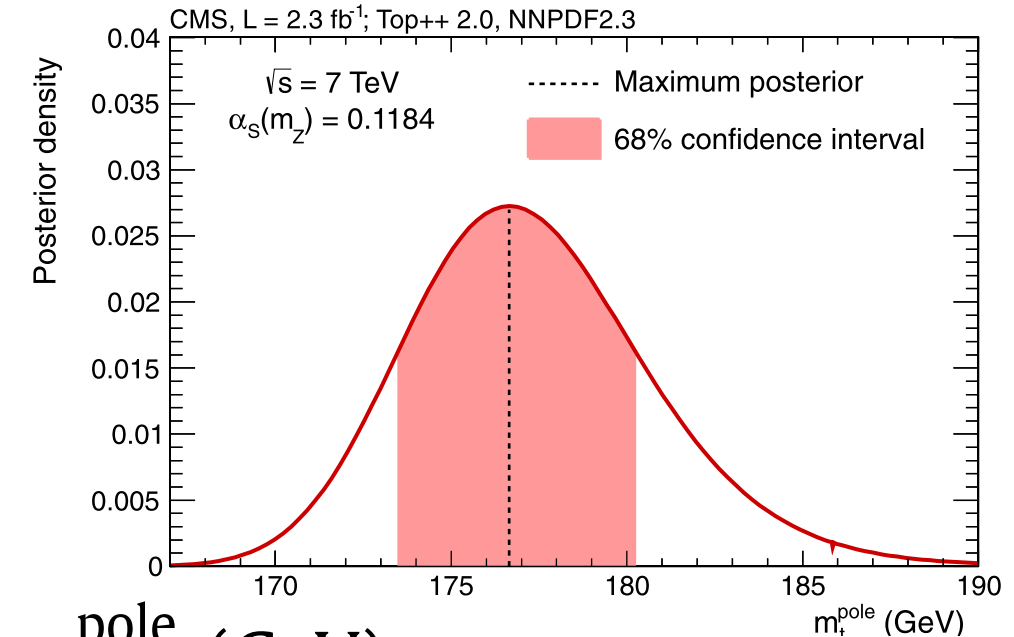
[Phys. Lett. B 738 \(2014\) 526 \(Corrigendum\)](#)

[Phys. Lett. B 728 \(2014\) 496-517](#)

$\int L dt \sim 4.6 \text{ fb}^{-1} \text{ (2011) \& } 20.3 \text{ fb}^{-1} \text{ (2012)}$

Systematic uncertainties

CMS



m_t^{pole} (GeV)		Uncertainty on m_t^{pole} (GeV)						m_t^{pole} (GeV)
		Total	$\sigma_{t\bar{t}}^{\text{meas}}$	PDF	α_S	$\mu_{R,F}$	E_{LHC}	m_t^{MC}
ABM11	172.7	+3.9	+2.8	+2.2	+1.0	+0.7	+0.8	+0.4
		−3.5	−2.5	−2.0	−1.0	−0.7	−0.8	−0.3
CT10	177.0	+4.3	+3.2	+2.4	+0.8	+0.9	+0.9	+0.5
		−3.8	−2.8	−2.0	−0.8	−0.9	−0.9	−0.4
HERAPDF1.5	179.5	+4.3	+3.5	+1.7	+1.2	+0.9	+1.0	+0.6
		−3.8	−3.0	−1.5	−1.1	−0.8	−1.0	−0.5
MSTW2008	177.9	+4.1	+3.4	+1.6	+0.9	+0.9	+0.9	+0.5
		−3.6	−2.9	−1.4	−0.9	−0.9	−0.9	−0.5
NNPDF2.3	176.7	+3.8	+3.1	+1.5	+0.7	+0.9	+0.9	+0.5
		−3.4	−2.8	−1.3	−0.7	−0.9	−0.9	−0.4

Table 2

Results obtained for m_t^{pole} by comparing the measured $t\bar{t}$ cross section to the NNLO + NNLL prediction with different NNLO PDF sets. The total uncertainties account for the full uncertainty on the measured cross section ($\sigma_{t\bar{t}}^{\text{meas}}$), the PDF and scale ($\mu_{R,F}$) uncertainties on the predicted cross section, the uncertainties of the $\alpha_S(m_Z)$ world average and of the LHC beam energy (E_{LHC}), and the ambiguity in translating the dependence of the measured cross section on the top-quark mass value used in the Monte Carlo generator (m_t^{MC}) into the pole-mass scheme.

Systematic uncertainties

ATLAS

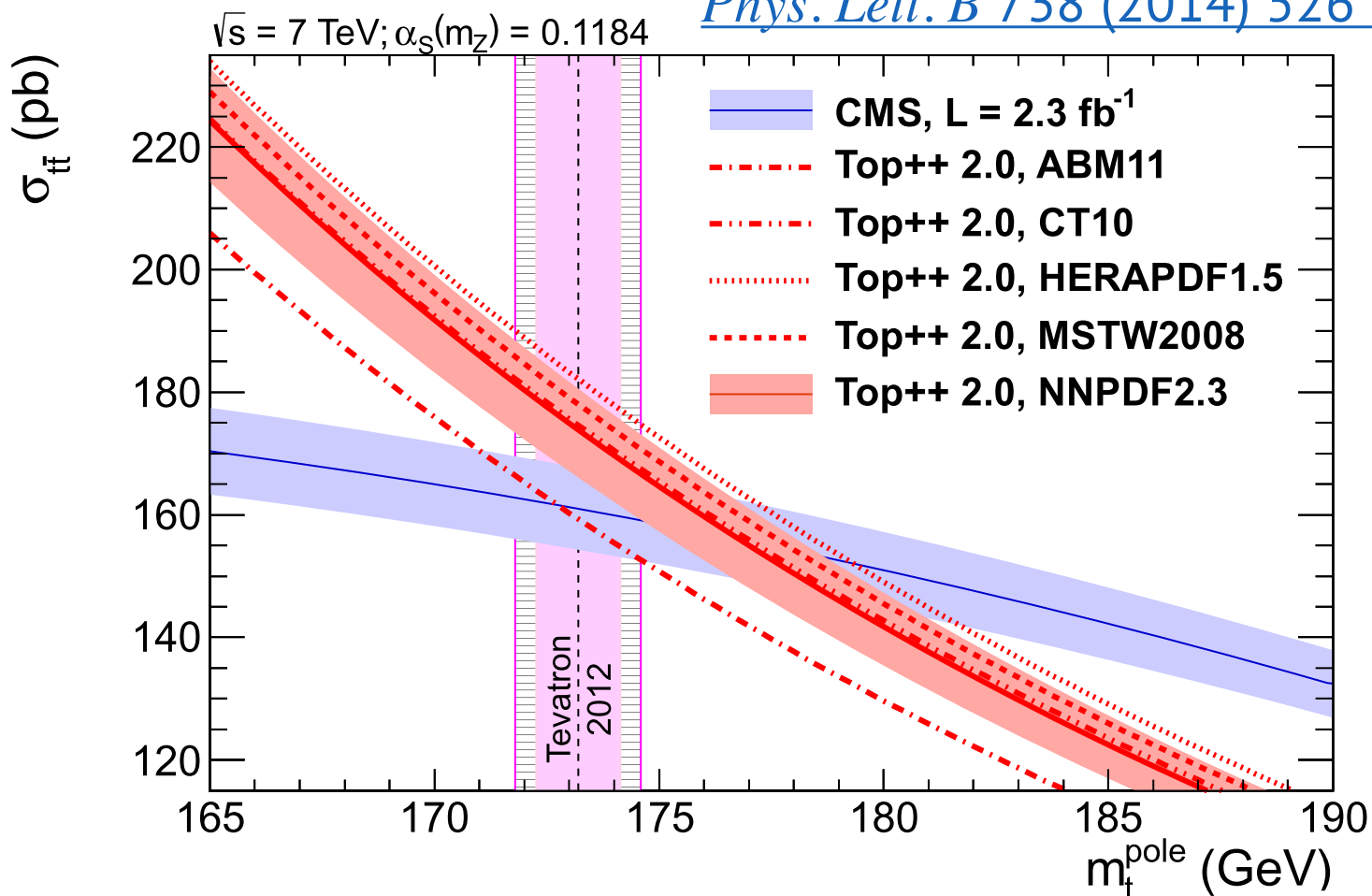
Eur.Phys.J. C74 (2014) 3109

Table 6 Measurements of the top quark pole mass determined from the $t\bar{t}$ cross-section measurements at $\sqrt{s} = 7 \text{ TeV}$ and $\sqrt{s} = 8 \text{ TeV}$ using various PDF sets

PDF	$m_t^{\text{pole}} (\text{ GeV})$ from $\sigma_{t\bar{t}}$	
	$\sqrt{s} = 7 \text{ TeV}$	$\sqrt{s} = 8 \text{ TeV}$
CT10 NNLO	171.4 ± 2.6	174.1 ± 2.6
MSTW 68 % NNLO	171.2 ± 2.4	174.0 ± 2.5
NNPDF2.3 5f FFN	$171.3^{+2.2}_{-2.3}$	174.2 ± 2.4

Table 7 Summary of experimental and theoretical uncertainty contributions to the top quark pole mass determination at $\sqrt{s} = 7 \text{ TeV}$ and $\sqrt{s} = 8 \text{ TeV}$ with the CT10 PDF set

$\Delta m_t^{\text{pole}} (\text{ GeV})$	$\sqrt{s} = 7 \text{ TeV}$	$\sqrt{s} = 8 \text{ TeV}$
Data statistics	0.6	0.3
Analysis systematics	0.8	0.9
Integrated luminosity	0.7	1.2
LHC beam energy	0.7	0.6
PDF+ α_s	1.8	1.7
QCD scale choice	$+0.9$ -1.2	$+0.9$ -1.3



Measure $m_{\text{top}}^{\text{pole}}$ from $\sigma_{t\bar{t}}$

CMS

use results from NNPDF 2.3

(preferred because of stability against change of PDF parametrization)

$$m_t^{\text{pole}} = 176.7^{+3.8}_{-3.4}$$

inner solid = initial uncertainty on $m_{\text{top}}^{\text{Tevatron}}$

external: $m_{\text{top}}^{\text{meas}} / m_{\text{top}}^{\text{pole}}$ difference

ATLAS

use envelope of PDF errors for PDF uncertainty (PDF4LHC prescription)

$$m_t^{\text{pole}} = 171.4 \pm 2.6 \text{ GeV } (\sqrt{s} = 7 \text{ TeV})$$

$$m_t^{\text{pole}} = 174.1 \pm 2.6 \text{ GeV } (\sqrt{s} = 8 \text{ TeV})$$

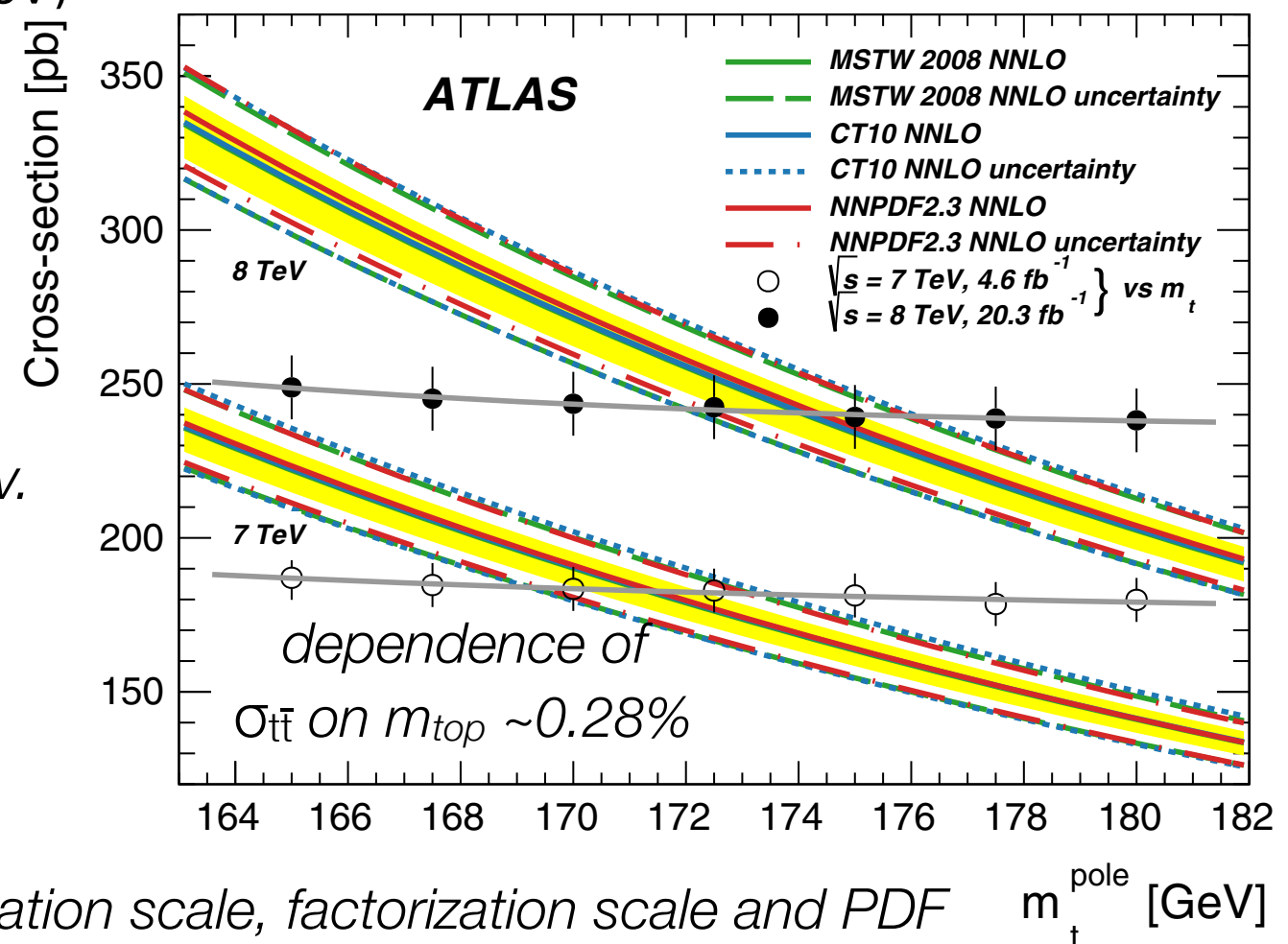
lumi is uncorrelated; consistent within 1.7 st. dev.

Maximize product of likelihoods at $E_{\text{cm}} = 7$ and 8 TeV :
same correlations as for cross section +
fully correlated theory uncertainties

$$m_t^{\text{pole}} = 172.9^{+2.5}_{-2.6} \text{ GeV}$$

Prediction uncertainty bands include renormalization scale, factorization scale and PDF

Eur. Phys. J. C 74 (2014) 3109



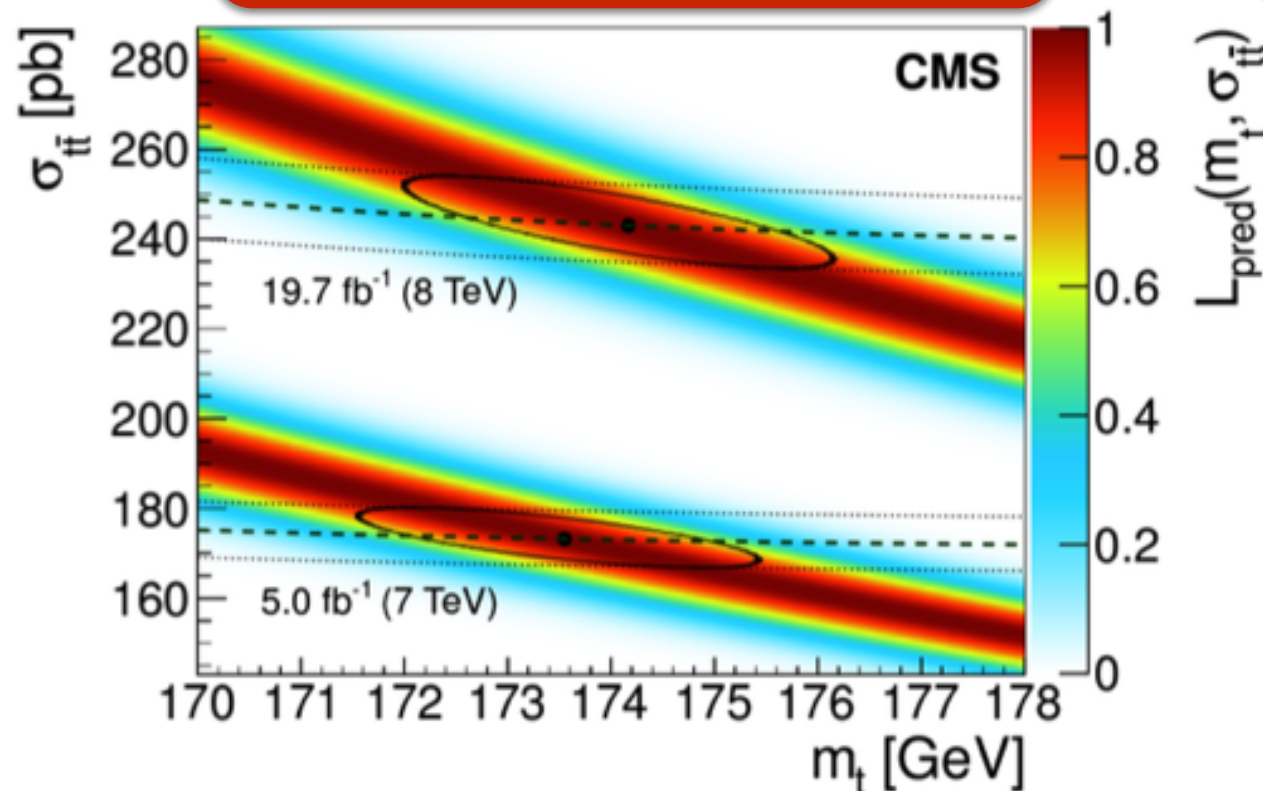
Top mass extraction at fixed order scheme

- need full phase space extrapolation
- benefits from loose selections \Rightarrow flat acceptance
- assume α_s and PDF and compare to theory

$$m_t^{\text{pole}} = 173.8_{-1.8}^{+1.7} \text{ (GeV)}$$

$\Delta m/m = 1\%$

NEW arXiv:1603.02303 sub to JHEP



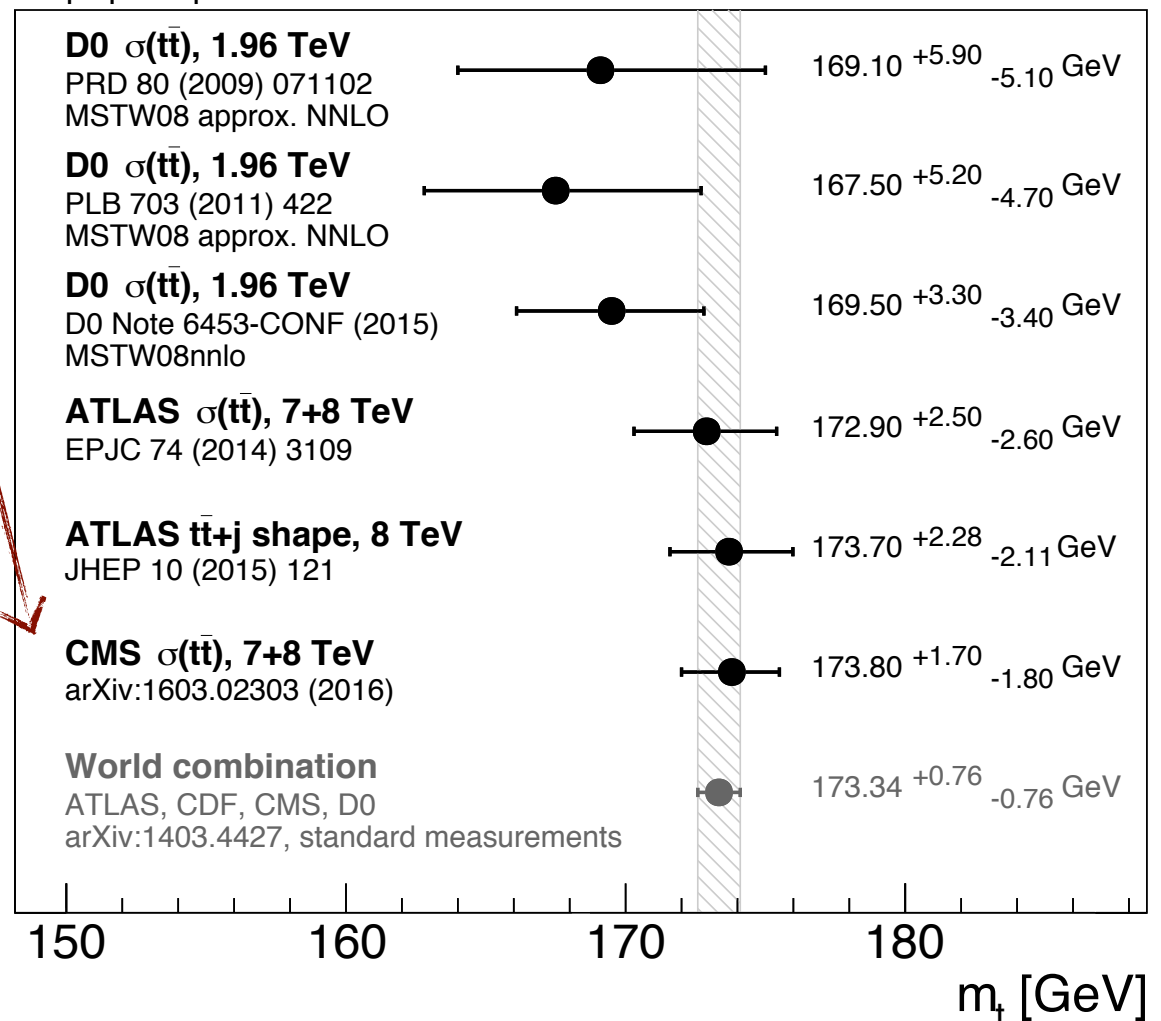
How far do we need go experimentally?

- assuming current $\delta\sigma_{\text{th}}^{\text{NNLO}} \approx 5.5\%$
PRL 110 (2013) 252004
- may reach $\delta m_t^{\text{pole}} \approx 0.5\%$ if $\delta\sigma_{\text{exp}} \approx 2\%$

For more details on top mass see - B. Stieger's talk

Top-quark pole mass measurements

March 2016



(Pedro Ferreira da Silva @ Moriond 2016)

M_{top} alternative measurements (II)

Eur.Phys.J C73 (2013) 2438

⇒ exploit m_t^{pole} dependence of *normalised $t\bar{t}$ +1-jet differential cross-section*, as a function of the inverse of the invariant mass of $t\bar{t}$ +1-jet system

$$\mathcal{R}(m_t^{pole}, \rho_s) = \frac{1}{\sigma_{t\bar{t}+1-jet}} \frac{d\sigma_{t\bar{t}+1-jet}}{d\rho_s}(m_t^{pole}, \rho_s)$$

$$\sqrt{s} = 7 \text{ TeV} (L = 4.6 \text{ fb}^{-1}), \ell + \text{jets channel}$$

▷ kinematical event reconstruction to identify W - and t -candidates, "additional jet" with $p_T > 50 \text{ GeV}$

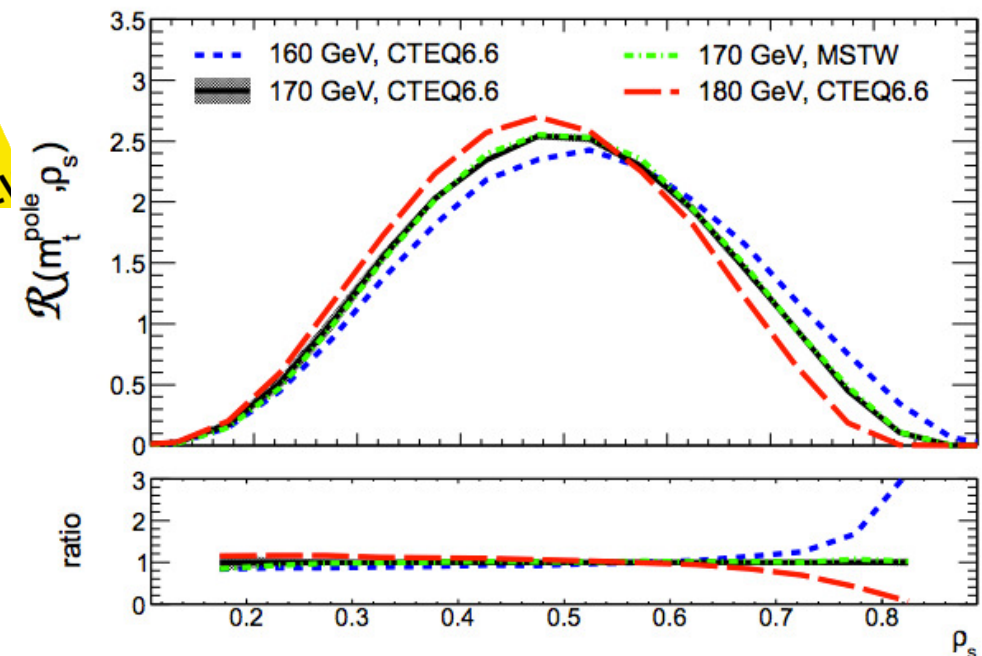
▷ regularised matrix unfolding to correct for detector effects & *extract shape of R*

▷ fit with NLO+PS prediction:

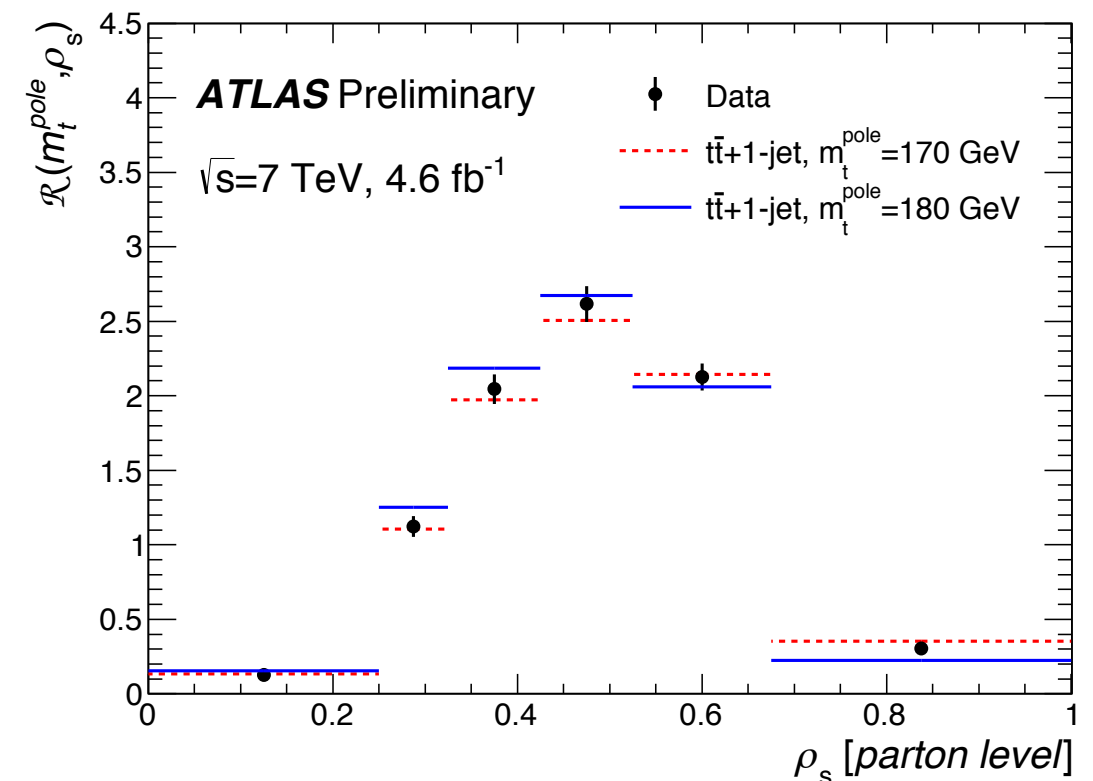
$$m_t^{pole} = 173.7 \pm 1.5 (\text{stat.}) \pm 1.4 (\text{syst.}) {}^{+1.0}_{-0.5} (\text{theo.}) \text{ GeV}$$

▷ dominant sources of systematic uncertainty:

- ▷ JES: 0.94 GeV
- ▷ ISR/FSR: 0.72 GeV
- ▷ proton PDF: 0.54 GeV



ATLAS-CONF-2014-053



(see S. Adomeit, TOP2014)

M_{top} alternative measurements (III)

in single top events

enriched single top sample with template method

• Kinematic endpoint

▷ use transverse mass of $t\bar{t}$ pair

$$M_{T2} \equiv \min_{\mathbf{p}_T^{\nu a} + \mathbf{p}_T^{\nu b} = \mathbf{p}_T^{\text{miss}}} \{ \max(m_T^a, m_T^b) \}$$

use only components perpendicular to the boost of the $t\bar{t}$ pair:

$$M_{T2} \rightarrow M_{T2\perp} \equiv \mu_{bb}$$

▷ **endpoint**: $\mu_{bb}^{\text{max}} = m_t$

• Dependence on B-hadron lifetime

▷ lifetime and **(transverse) decay length (L_{xy})** of B-hadrons from the top decay depend \sim linearly on m_t

▷ no Monte Carlo

▷ similarly, **p_T of the charged leptons** from the W boson decay can be used

• J/Psi final state

▷ select $t\bar{t}$ events with $b \rightarrow J/\psi$ ($+J/\psi \rightarrow \ell\ell$)

▷ independent of jet scaling factor

▷ exploit m_t dependence of $M_{J/\psi+\ell}$ (Phys. Lett. B 476 (2000) 73)

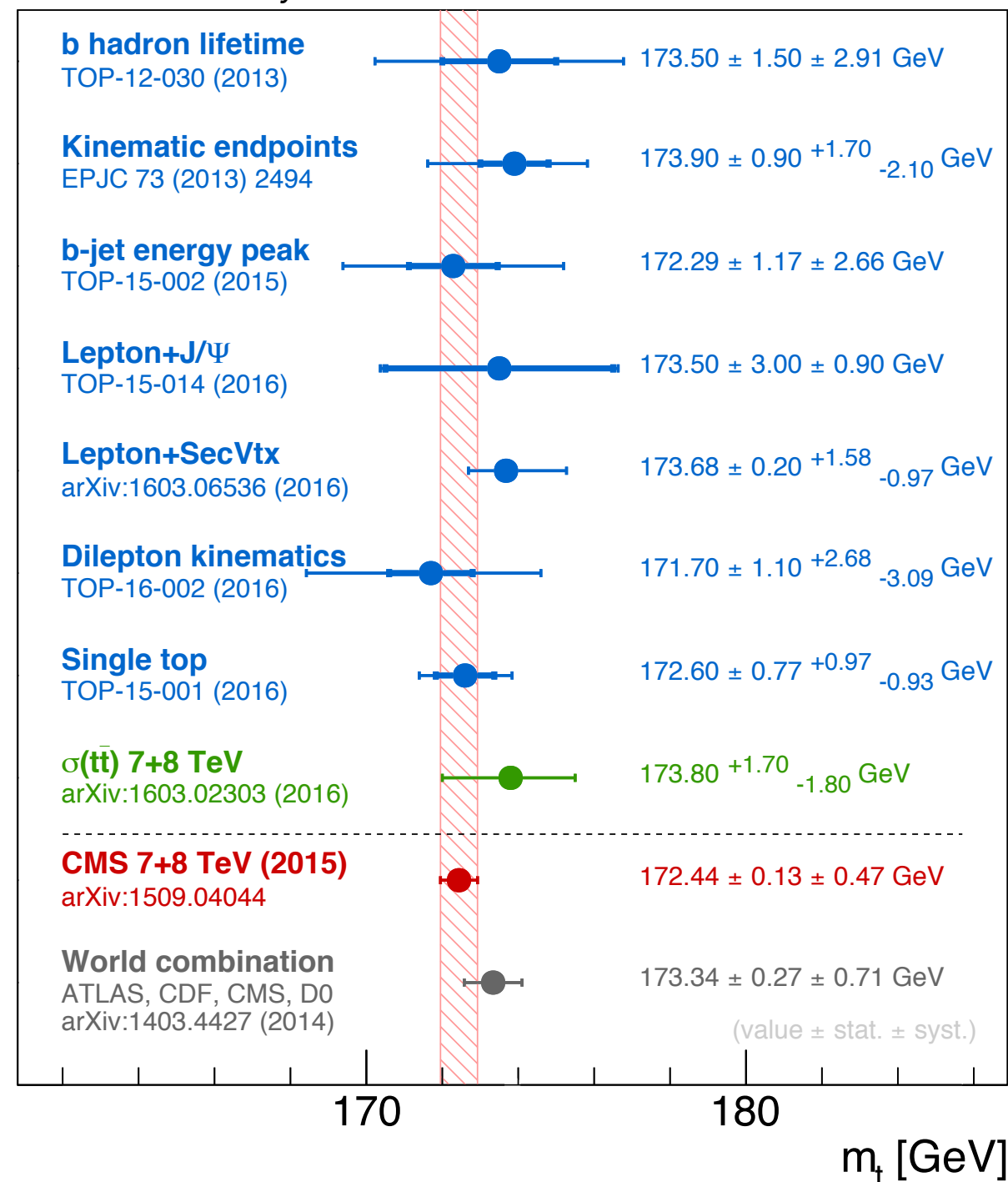
(see S. Adomeit, TOP2014)

ATLAS-CONF-2014-055

$$m_t = 172.2 \pm 0.7 \text{ (stat.)} \pm 2.0 \text{ (syst.) GeV}$$

CMS Preliminary

March 2016



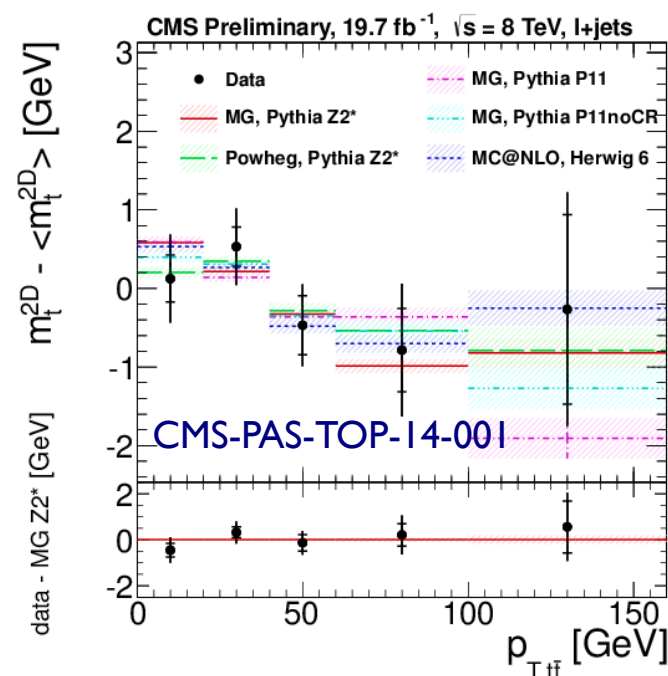
m_t [GeV]



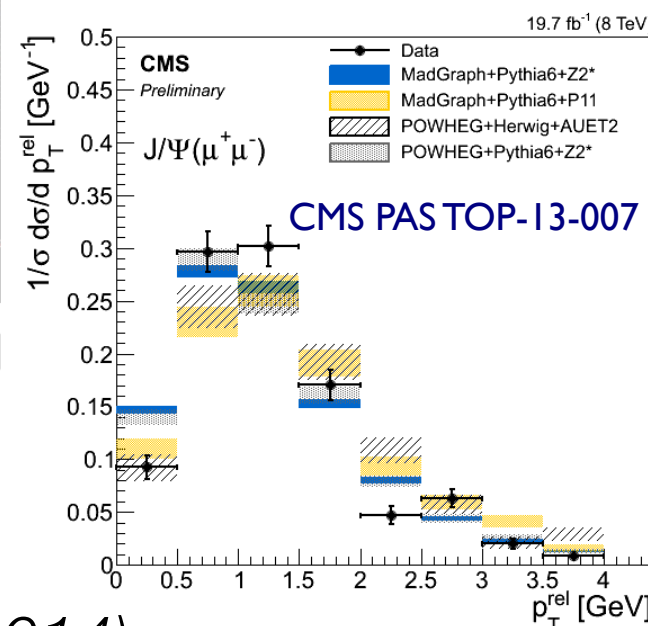
- The most ~~fundamental~~ ~~crucial~~ ~~interesting~~ ambiguous parameter of the standard model
- Most **measurements rely on** an intrinsic **calibration to** a LO/NLO **MC** definition
 - may assume that ambiguity can in principle be resolved up to $O(\Lambda_{\text{QCD}})$ – see A. Hoang's talk
 - e.g. measure mass in MC, use observables calculated in well defined schemes, use short-range definition
 - from the experimental point of view **Run 2 and HL-LHC have potential for more precise m_t**

Diff. m_t measurements

constrain in-situ main uncertainties

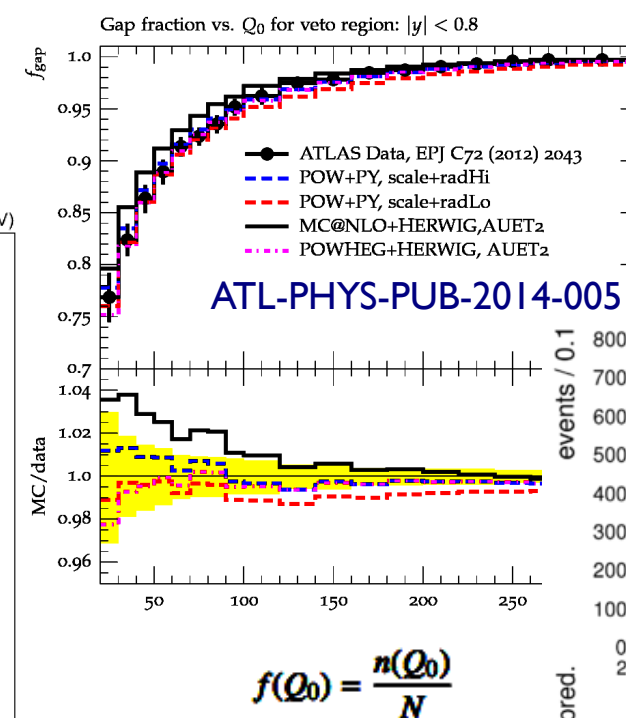


Measurements of the UE and fragmentation in $t\bar{t}$: tune signal model with data



Measurements of radiation in $t\bar{t}$

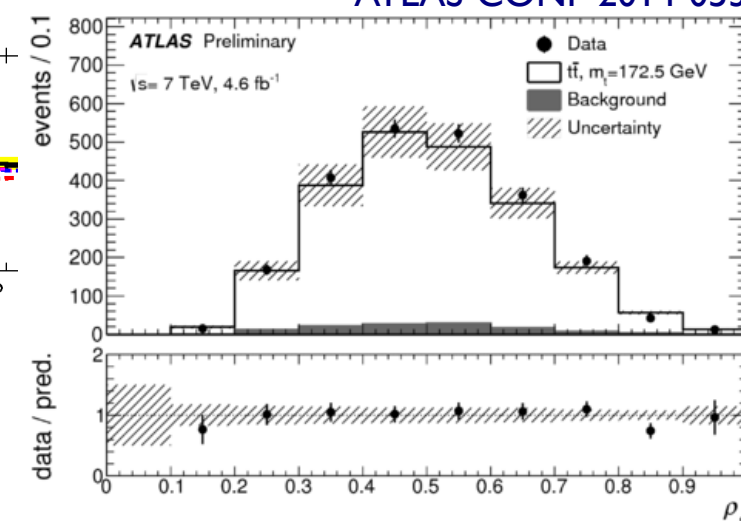
constrain $p\text{QCD}$ signal model uncertainties



$$f(Q_0) = \frac{n(Q_0)}{N}$$

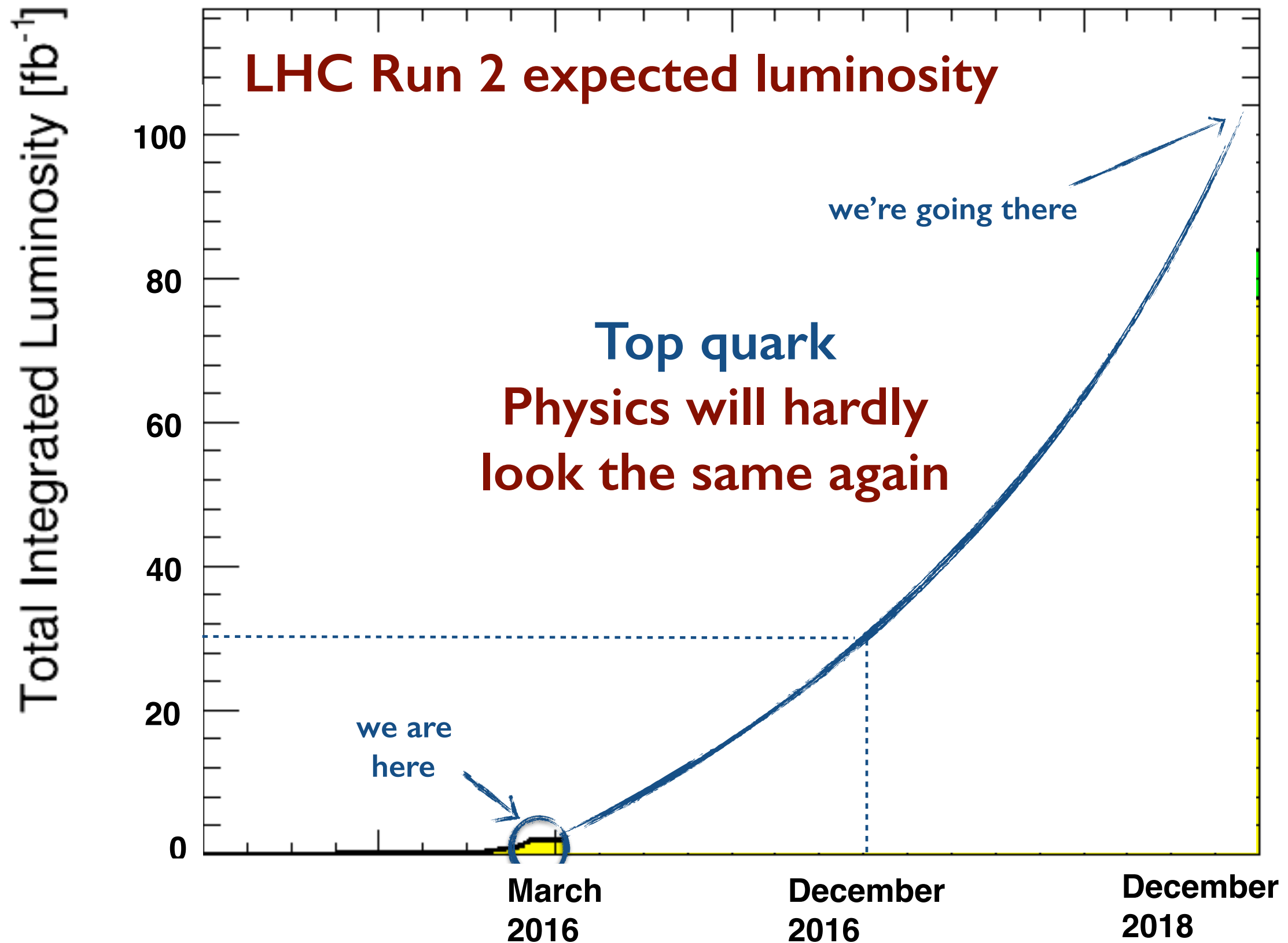
Alternative methods

Improve precision on “theory safe” observables, profit from high stats and also NNLO signal modelling



(P. Ferreira da Silva @ Top2014)

Significant words by Pedro...



(Pedro Ferreira da Silva @ Moriond 2016)

Conclusions and Outlook

- **Top analysis is in full swing** thanks to the combined performance of LHC & detectors: **a very rich program is under way.**
- *By exploiting the LHC top quark factory* (~ 6 (~ 4)M tt, ~ 3 (1.5)M single top events produced by LHC @ $\sqrt{s}=8$ (13) TeV) **ATLAS & CMS are testing top strong and electroweak inclusive production at unprecedented precision at new energies centre**
 - ▶ $\delta\sigma_{tt}/\sigma_{tt} \sim O(3.5 \text{ to } 5\%)$ compared to $\sim 4\%$ prediction uncertainty (NNLO+NNLL)
 - ▶ $\delta\sigma_t/\sigma_t$: s-chan, t-chan and Wt observed. $|V_{tb}|$ consistent with 1 at 4% level
- **Differential cross sections measurements test SM tt production and complement new physics searches in completely new phase space** with $O(5\%)$ to $O(40\%)$ relative unc. Expect higher reach in Multi TeV region with reduced syst uncertainties, due to parametrization/understanding of more phase space corners & improvement in MC generators (NNLO).
- The **top mass is measured at $O(0.5)\%$** level. sub-GeV precision if progress is made on syst uncertainties exploiting differential info.
- Spin determination in top quark production (tt spin correlations) and decay (W polarization, Wtb vertex properties) are consistent with SM
- **Direct determination of top quark coupling to bosons is consistent with SM even if with limited number of events . Measurement of the coupling to the** the newly found **Higgs** boson is **still limited** by number of events. Run2 expects observation with high luminosity.
- **New physics** connected to top quark by resonances/asymmetries and top rare decays to Higgs boson **is being searched in previously unexplored 2-3 TeV/ $O(0.1)$ pb regions** of mass and cross sections: reach to be extended in multi-TeV region with pile-up mitigation techniques & improved syst uncertainties

References and useful workshops

TOP Workshop series

- TOP2015:8th International Workshop on Top Physics
- TOP2014:7th International workshop on Top Physics
- TOP2013: 6th International workshop on Top physics
- Top2012: 5th International workshop on Top physics

LHC TopWG agenda

LHC & Tevatron experiments public results

- Top Public results from ATLAS
- Top Public results from CMS
- Top Public results from CDF
- Top Public results from D0

Additional (useful) references

- A. Quadt, *Top quark physics at hadron colliders*, Eur. Phys. J. C 48, 835–1000 (2006) DOI 10.1140/epjc/s2006-02631-6
- A J,. Khun, *Theory of Top Quark Production and Decay*, <http://arxiv.org/abs/hep-ph/9707321v1>
- S Willembrock, *THE STANDARD MODEL AND THE TOP QUARK*, <http://arxiv.org/abs/hep-ph/0211067v3>
- Chris Quigg, *Top-ophilia*, FERMILAB-FN-0818-T

and references therein