

# Report from WG-A

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on behalf of the WG-A conveners

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# WG-A: Phenomenology

- [ Our task: discussing new physics signals at SuperB
- [ Currently we are exploring the following models:
  - (A) MSSM
  - (B) SUSY-GUTs (together with MSSM, could be simply SUSY)
  - (C) Little Higgs model (LHT)
  - (D) Extra-Dimension model
  - (E) CKM analysis
  - (F) Model independent/Effective theory approach

**More new physics signals with SuperB are welcome!**

**Towards the next  
meeting...**

# SuperB sensitivity information

In order to stimulate **theoretical works around SuperB**, we propose to open a web-site to put **up-to-date information of the SuperB sensitivity studies (and related issues)**.

Observable	<i>B</i> Factories (2 ab <sup>-1</sup> )	SuperB (7	Observable	<i>B</i> Factories (2 ab <sup>-1</sup> )	SuperB (75 ab	
sin(2β) ( <i>J/ψ</i> <i>K</i> <sup>0</sup> )	0.018	0.005	$\mathcal{B}(B \rightarrow \tau\nu)$	20%	4% (†)	
cos(2β) ( <i>J/ψ</i> <i>K</i> <sup>*0</sup> )	0.30	0.05	$\mathcal{B}(B \rightarrow \mu\nu)$	<i>S</i> ( $\phi K^0$ )	0.13	0.02 (*)
sin(2β) ( <i>Dh</i> <sup>0</sup> )	0.10	0.02	$\mathcal{B}(B \rightarrow D\tau\nu)$	<i>S</i> ( $\eta' K^0$ )	0.05	0.01 (*)
cos(2β) ( <i>Dh</i> <sup>0</sup> )	0.20	0.04	$\mathcal{B}(B \rightarrow \rho\gamma)$	<i>S</i> ( $K_s^0 K_s^0 K_s^0$ )	0.15	0.02 (*)
<i>S</i> ( <i>J/ψ</i> $\pi^0$ )	0.10	0.02	$\mathcal{B}(B \rightarrow \omega\gamma)$	<i>S</i> ( $K_s^0 \pi^0$ )	0.15	0.02 (*)
<i>S</i> ( <i>D</i> <sup>+</sup> <i>D</i> <sup>-</sup> )	0.20	0.03	$A_{CP}(B \rightarrow K^*\gamma)$	<i>S</i> ( $\omega K_s^0$ )	0.17	0.03 (*)
$\alpha(B \rightarrow \pi\pi)$	~ 16°		$A_{CP}(B \rightarrow \rho\gamma)$	<i>S</i> ( $f_0 K_s^0$ )	0.12	0.02 (*)
$\alpha(B \rightarrow \rho\rho)$	~ 7°		$A_{CP}(b \rightarrow s\gamma)$		~ 0.20	
$\alpha(B \rightarrow \rho\pi)$	~ 12°		$A_{CP}(b \rightarrow (s+d)\gamma)$		0.012 (†)	
$\alpha$ (combined)	~ 6°		<i>S</i> ( $K_s^0 \pi^0 \gamma$ )		0.03	
$\gamma(B \rightarrow DK, D \rightarrow CP \text{ eigenstates})$	~ 15°		<i>S</i> ( $\rho^0 \gamma$ )		0.15	
$\gamma(B \rightarrow DK, D \rightarrow \text{suppressed states})$	~ 12°		$ V_{cb} $ (exclusive)			1.0% (*)
$\gamma(B \rightarrow DK, D \rightarrow \text{multibody states})$	~ 9°		$ V_{cb} $ (inclusive)			1% (*)
$\gamma(B \rightarrow DK, \text{combined})$	~ 6°		$ V_{ub} $ (exclusive)			8% (*)
			$ V_{ub} $ (inclusive)			8% (*)
			$A_{CP}(B \rightarrow K^* \ell \ell)$			25%
			$A^{FB}(B \rightarrow K^* \ell \ell)_{s_0}$			9%

✂ polarization of  $B \rightarrow K^* \nu\nu$

Slides from  
A. Sticchi

Observable	B Factories (2 ab <sup>-1</sup> )	SuperB (75 ab <sup>-1</sup> )
$\sin(2\beta) (J/\psi K^0)$	0.018	0.005 (†)
$\cos(2\beta) (J/\psi K^{*0})$	0.30	0.05
$\sin(2\beta) (Dh^0)$	0.10	0.02
$\cos(2\beta) (Dh^0)$	0.20	0.04
$S(J/\psi \pi^0)$	0.10	0.02
$S(D^+ D^-)$	0.20	0.03
$\alpha (B \rightarrow \pi\pi)$	$\sim 16^\circ$	$3^\circ$
$\alpha (B \rightarrow \rho\rho)$	$\sim 7^\circ$	$1-2^\circ (*)$
$\alpha (B \rightarrow \rho\pi)$	$\sim 12^\circ$	$2^\circ$
$\alpha$ (combined)	$\sim 6^\circ$	$1-2^\circ (*)$
$\gamma (B \rightarrow DK, D \rightarrow CP \text{ eigenstates})$	$\sim 15^\circ$	$2.5^\circ$
$\gamma (B \rightarrow DK, D \rightarrow \text{suppressed states})$	$\sim 12^\circ$	$2.0^\circ$
$\gamma (B \rightarrow DK, D \rightarrow \text{multibody states})$	$\sim 9^\circ$	$1.5^\circ$
$\gamma (B \rightarrow DK, \text{combined})$	$\sim 6^\circ$	$1-2^\circ$
$2\beta + \gamma (D^{(*)\pm} \pi^\mp, D^\pm K_S^0 \pi^\mp)$	$20^\circ$	$5^\circ$
$S(\phi K^0)$	0.13	0.02 (*)
$S(\eta' K^0)$	0.05	0.01 (*)
$S(K_S^0 K_S^0 K_S^0)$	0.15	0.02 (*)
$S(K_S^0 \pi^0)$	0.15	0.02 (*)
$S(\omega K_S^0)$	0.17	0.03 (*)
$S(f_0 K_S^0)$	0.12	0.02 (*)

$ V_{cb} $ (exclusive)	4% (*)	1.0% (*)
$ V_{cb} $ (inclusive)	1% (*)	0.5% (*)
$ V_{ub} $ (exclusive)	8% (*)	3.0% (*)
$ V_{ub} $ (inclusive)	8% (*)	2.0% (*)

Observable	B Factories	at LHCb
$B(B \rightarrow \tau\nu)$	20%	
$B(B \rightarrow \mu\nu)$	visible	
$B(B \rightarrow D\tau\nu)$	15%	2%
$B(B \rightarrow \rho\gamma)$	15%	3% (†)
$B(B \rightarrow \omega\gamma)$	30%	5%
$A_{CP}(B \rightarrow K^*\gamma)$	0.007 (†)	0.004 († *)
$A_{CP}(B \rightarrow \rho\gamma)$	$\sim 0.20$	0.05
$A_{CP}(b \rightarrow s\gamma)$	0.012 (†)	0.004 (†)
$A_{CP}(b \rightarrow (s+d)\gamma)$	0.03	0.006 (†)
$S(K_S^0 \pi^0 \gamma)$	0.15	0.02 (*)
$S(\rho^0 \gamma)$	possible	0.10
$A_{CP}(B \rightarrow K^* ll)$	7%	1%
$A^{FB}(B \rightarrow K^* ll)_{s_0}$	25%	9%
$A^{FB}(B \rightarrow X_s ll)_{s_0}$	35%	5%
$B(B \rightarrow K\nu\bar{\nu})$	visible	20%
$B(B \rightarrow \pi\nu\bar{\nu})$	–	possible

Possible also at LHCb

Similar precision at LHCb

## $\tau$ physics

Process	Sensitivity
$\mathcal{B}(\tau \rightarrow \mu\gamma)$	$2 \times 10^{-9}$
$\mathcal{B}(\tau \rightarrow e\gamma)$	$2 \times 10^{-9}$
$\mathcal{B}(\tau \rightarrow \mu\mu\mu)$	$2 \times 10^{-10}$
$\mathcal{B}(\tau \rightarrow eee)$	$2 \times 10^{-10}$
$\mathcal{B}(\tau \rightarrow \mu\eta)$	$4 \times 10^{-10}$
$\mathcal{B}(\tau \rightarrow e\eta)$	$6 \times 10^{-10}$
$\mathcal{B}(\tau \rightarrow \ell K_s^0)$	$2 \times 10^{-10}$

## Charm at U(4S) and the

Mode	Observable	$B$ Factories	
$D^0 \rightarrow K^+K^-$	$y_{CP}$	$2-3 \times 10^{-3}$	
$D^0 \rightarrow K^+\pi^-$	$y'_D$	$2-3 \times 10^{-3}$	
	$x_D^2$	$1-2 \times 10^{-3}$	
$D^0 \rightarrow K_s^0\pi^+\pi^-$	$y_D$	$2-3 \times 10^{-3}$	$5 \times 10^{-4}$
	$x_D$	$2-3 \times 10^{-3}$	$5 \times 10^{-4}$
Average	$y_D$	$1-2 \times 10^{-3}$	$3 \times 10^{-4}$
	$x_D$	$2-3 \times 10^{-3}$	$5 \times 10^{-4}$
$D^0 \rightarrow K^+\pi^-$	$x^2$		$3 \times 10^{-5}$
	$y'$		$7 \times 10^{-4}$
$D^0 \rightarrow K^+K^-$	$y_{CP}$		$5 \times 10^{-4}$
$D^0 \rightarrow K_s^0\pi^+\pi^-$	$x$		$4.9 \times 10^{-4}$
	$y$		$3.5 \times 10^{-4}$
	$ q/p $		$3 \times 10^{-2}$
	$\phi$		$2^\circ$

*To be evaluated at LHCb*

Slides from  
A. Sticchi

## $B_s$ at U(5S)

Observable	Error with $1 \text{ ab}^{-1}$	Error with $30 \text{ ab}^{-1}$
$\Delta\Gamma$	$0.16 \text{ ps}^{-1}$	$0.03 \text{ ps}^{-1}$
$\Gamma$	$0.07 \text{ ps}^{-1}$	$0.01 \text{ ps}^{-1}$
$\beta_s$ from angular analysis	$20^\circ$	$8^\circ$
$A_{SL}^s$	0.006	0.004
$A_{CH}$	0.004	0.004
$\mathcal{B}(B_s \rightarrow \mu^+\mu^-)$	-	$< 8 \times 10^{-9}$
$ V_{td}/V_{ts} $	0.08	0.017
$\mathcal{B}(B_s \rightarrow \gamma\gamma)$	38%	7%
$\beta_s$ from $J/\psi\phi$	$16^\circ$	$6^\circ$
$\beta_s$ from $B_s \rightarrow K^0\bar{K}^0$	$24^\circ$	$11^\circ$

$B_s$  : not discussed today. Maybe to be Revisited for next Workshops

Channel	Sensitivity
$D^0 \rightarrow e^+e^-, D^0 \rightarrow \mu^+\mu^-$	$1 \times 10^{-8}$
$D^0 \rightarrow \pi^0e^+e^-, D^0 \rightarrow \pi^0\mu^+\mu^-$	$2 \times 10^{-8}$
$D^0 \rightarrow \eta e^+e^-, D^0 \rightarrow \eta\mu^+\mu^-$	$3 \times 10^{-8}$
$D^0 \rightarrow K_s^0e^+e^-, D^0 \rightarrow K_s^0\mu^+\mu^-$	$3 \times 10^{-8}$
$D^+ \rightarrow \pi^+e^+e^-, D^+ \rightarrow \pi^+\mu^+\mu^-$	$1 \times 10^{-8}$
$D^0 \rightarrow e^\pm\mu^\mp$	$1 \times 10^{-8}$
$D^+ \rightarrow \pi^+e^\pm\mu^\mp$	$1 \times 10^{-8}$
$D^0 \rightarrow \pi^0e^\pm\mu^\mp$	$2 \times 10^{-8}$
$D^0 \rightarrow \eta e^\pm\mu^\mp$	$3 \times 10^{-8}$
$D^0 \rightarrow K_s^0e^\pm\mu^\mp$	$3 \times 10^{-8}$
$D^+ \rightarrow \pi^-e^+e^+, D^+ \rightarrow K^-e^+e^+$	$1 \times 10^{-8}$
$D^+ \rightarrow \pi^-\mu^+\mu^+, D^+ \rightarrow K^-\mu^+\mu^+$	$1 \times 10^{-8}$
$D^+ \rightarrow \pi^-e^\pm\mu^\mp, D^+ \rightarrow K^-e^\pm\mu^\mp$	$1 \times 10^{-8}$

# Mini-study group on Benchmark

- [ In this workshop, we didn't get to a conclusion about **the benchmark for flavour physics**.
- [ **Many questions remained**: shall we have one or not? If yes, how to proceed? What is the use of the benchmark?
- [ In any case, better to start looking into it. We propose to have **a mini-study group to get started** (e.g. using **wiki**). Volunteers are most welcome!

# WG-A: Phenomenology

— [ Our task: discussing new physics signals at SuperB

— [ Currently we are discussing the following models:

(A) MSSM

**SUSY:** Shimizu,  
Nardecchia, Jager

(B) SUSY-GUTs (together with MSSM and SUSY)

**LHT:** Blanke, Duling

(C) Little Higgs model (LHT)

(D) Extra-Dimension model

**ED:** Gemmler

(E) CKM analysis

(F) Model independent/Effective theory approach

**Model Indep.:** Bona, **(non)MFV:** Zupan, Vives



**SUSY breaking, SU(5)  
etc...**

# SUSY breaking, SU(5) etc...

## Why SUSY? Why ~~SUSY~~?

hierarchy

$$M_W \ll M_{\text{PI}} \sim M_{\text{seesaw}} \sim M_{\text{GUT}}$$

stabilized

improved unification  
of couplings

(thermal relic) dark matter candidate, baryogenesis, strings, ...

EW symmetry breaking is SUSY breaking effect

SUSY nonrenormalization theorem forces this to be  
either tree level or nonperturbative =  $\mathcal{O}(e^{-c/g^2(\mu)}) = \mathcal{O}((\Lambda/\mu)^{c'})$

disfavoured  
(mass sum rules etc)

hierarchy generated,  
not only stabilized



$$M_{\text{particle}}, M_{\text{EW}} = \mathcal{O}(\Lambda^2/M_{\text{mess}})$$

# SUSY breaking, SU(5) etc...

talk by  
M. Nardecchia

## Hierarchical Soft Terms

Motivations: [Effective SUSY, Choen Kaplan Lepeintre Nelson '97]

- Complementary to degenerate assumption
- If we start with a degenerate boundary condition at very high energy, we end up to a split situation at low energy because of the Yukawa coupling of the 3rd family
- Welcome to alleviate the SUSY problem

$$A(\Delta F = 1) = f(x) \hat{\delta}_{ij}$$

$$A(\Delta F = 2) = g^{(1)}(x) \hat{\delta}_{ij}^2$$

$$x = \frac{\tilde{m}_3^2}{M^2} \quad \hat{\delta}_{a3} = \frac{\mathcal{M}_{a3}^2}{\tilde{m}_h^2}$$

There are only 4 flavor violating insertions:

$$\hat{\delta}_{bd}^{LL}, \hat{\delta}_{bd}^{LL}, \hat{\delta}_{bd}^{RR}, \hat{\delta}_{bd}^{RR}$$

$$\hat{\delta}_{ij}^{LL} \equiv \hat{\delta}_{i3}^{LL} \hat{\delta}_{j3}^{LL*}$$

$$\hat{\delta}_{ij}^{LR} \equiv \frac{\mathcal{M}_{L3,R3}^2}{\tilde{m}^2} \hat{\delta}_{i3}^{LL} \hat{\delta}_{j3}^{RR*} \quad i, j = 1, 2$$

$$\hat{\delta}_{i3}^{LR} \equiv \frac{\mathcal{M}_{L3,R3}^2}{\tilde{m}^2} \hat{\delta}_{i3}^{LL}$$

Correlations in the two frameworks can be very different:

$$\left. \frac{A(\Delta F = 2)}{[A(\Delta F = 1)]^2} \right|_{\text{degenerate}} = \frac{g^{(3)}}{6g^{(1)}} \left( \frac{f}{f^{(1)}} \right)^2 \left. \frac{A(\Delta F = 2)}{[A(\Delta F = 1)]^2} \right|_{\text{hierarchical}}$$

# SUSY breaking, SU(5) etc...

talk by  
M. Nardecchia

Provide some prediction for the mass  
insertion  $\delta$ 's

$$|\hat{\delta}_{sb}| \approx |V_{ts}^*| \approx 4 \times 10^{-2}$$

$$|\hat{\delta}_{db}| \approx |V_{td}^*| \approx 8 \times 10^{-3}$$

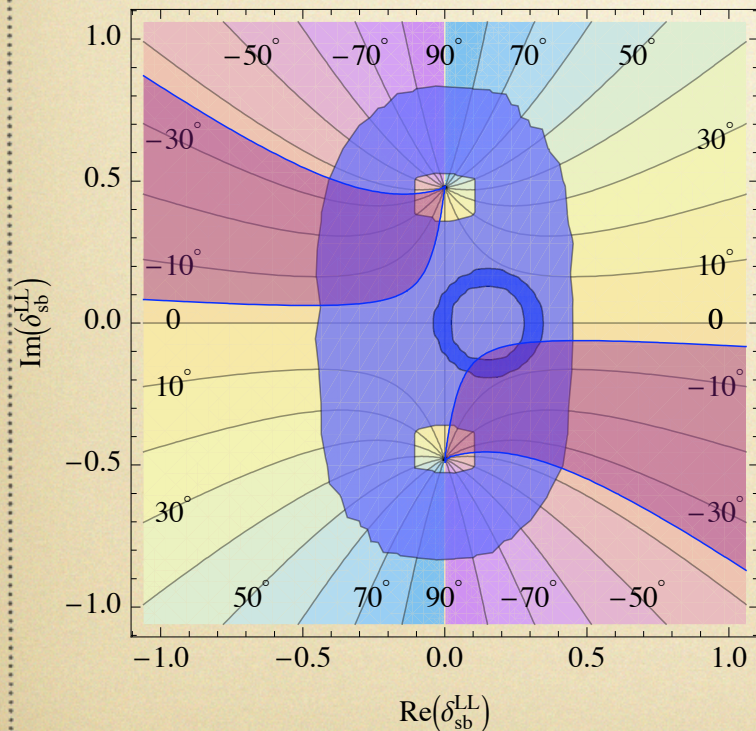
$$|\hat{\delta}_{db}\hat{\delta}_{bs}| \approx 3 \times 10^{-4}$$

# SUSY breaking, SU(5) etc...

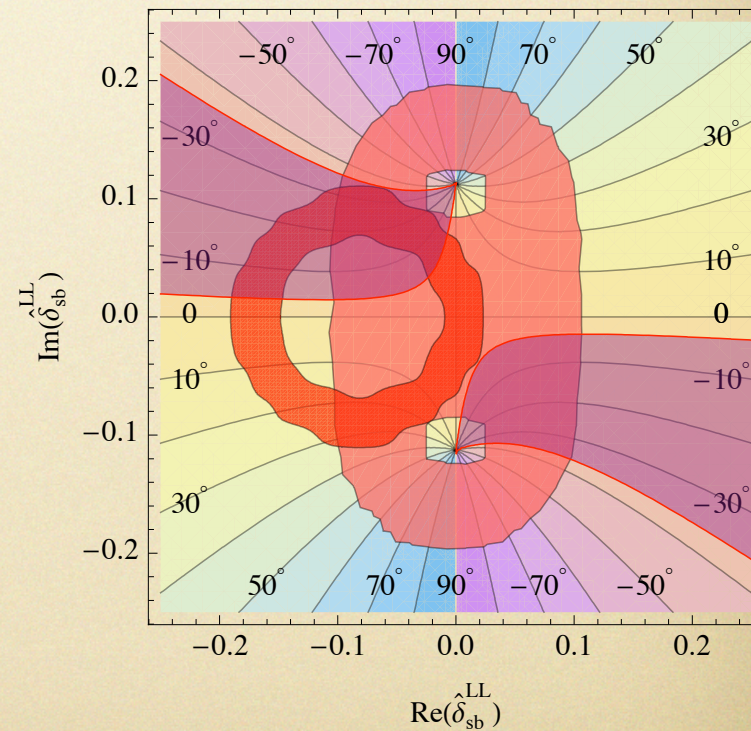
talk by  
M. Nardecchia

Significant difference comparing to the usual degenerate case in  $\Delta M_s$ ,  $B \rightarrow X_s \gamma$ ,  $\phi_s$ .

### Degenerate Spectrum



### Hierarchical Spectrum



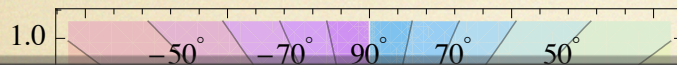
$$\tilde{m} = M_{\tilde{g}} = \mu = 350 \text{ GeV}, \quad \tan \beta = 10, \quad A = 0$$

# SUSY breaking, SU(5) etc...

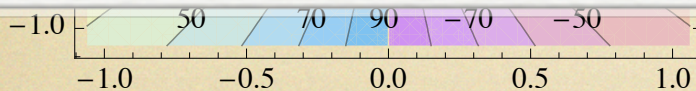
talk by  
M. Nardecchia

$$\Delta M_{B_s}, B \rightarrow X_s \gamma, \phi_{B_s}$$

Degenerate Spectrum

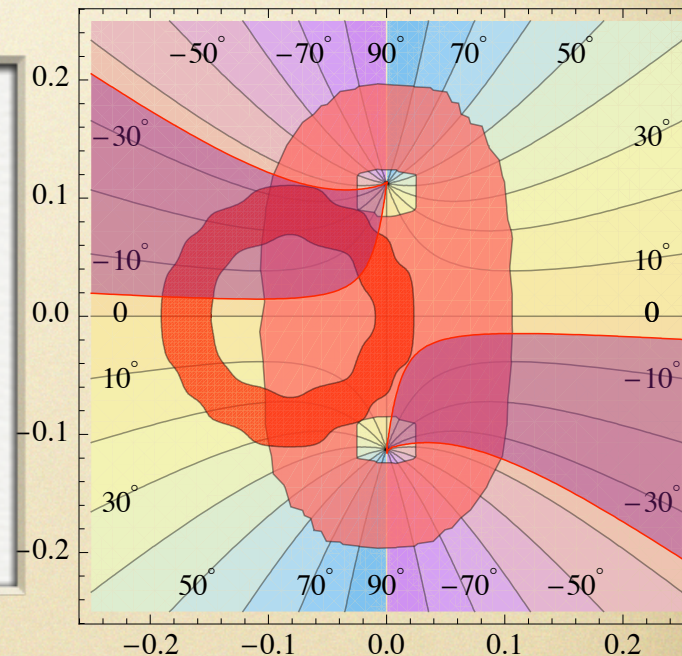


Interesting to see more  
SuperB golden channels. For  
ex. how about tCPV of  
 $B \rightarrow K_s \pi^0 \gamma$ ?



$\text{Re}(\delta_{sb}^{LL})$

Hierarchical Spectrum



$\text{Re}(\hat{\delta}_{sb}^{LL})$

$$\tilde{m} = M_{\tilde{g}} = \mu = 350 \text{ GeV}, \quad \tan \beta = 10, \quad A = 0$$

# SUSY breaking, SU(5) etc...

talk by  
S. Jager

## Why SUSY? Why ~~SUSY~~?

hierarchy  
 $M_W \ll M_{\text{PI}} \sim M_{\text{seesaw}} \sim M_{\text{GUT}}$   
stabilized

improved unification  
of couplings

(thermal relic) dark matter candidate, baryogenesis, strings, ...

EW symmetry breaking is SUSY breaking effect

SUSY nonrenormalization theorem forces this to be  
either tree level or nonperturbative =  $\mathcal{O}(e^{-c/g^2(\mu)}) = \mathcal{O}((\Lambda/\mu)^{c'})$

disfavoured  
(mass sum rules etc)

hierarchy generated,  
not only stabilized



mSUGRA

$M_{\text{particle}}, M$

Anomaly, gauge mediation

# SUSY breaking, SU(5) etc...

talk by  
S. Jager

## Why SUSY? Why SUSY?

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 either tree level or non-perturbative =  $\mathcal{O}(e^{-c/g^2(\mu)}) = \mathcal{O}((\Lambda/\mu)^{c'})$

disfavoured  
 (mass sum rules)

Flavour  
 blind or not?

hierarchy generated,  
 not only stabilized



mSUGRA

$M_{sparticle}, M$

Anomaly, gauge mediation



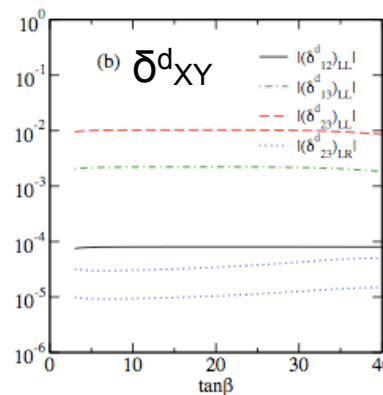
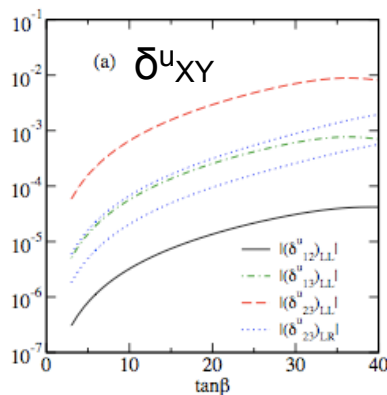
# SUSY breaking, SU(5) etc...

talk by  
S. Jager

## Anomaly mediation

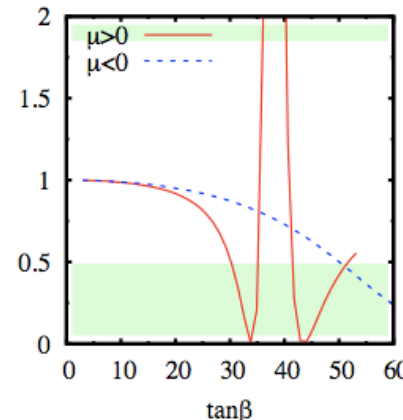
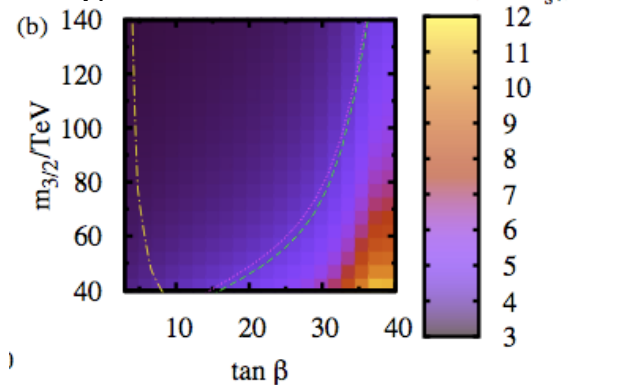
recent comprehensive study of FCNC arXiv:0902.4880 [hep-ph]

[Allanach, Hiller, Jones, Slavich]



small off-diagonal  $\delta$ 's  
origin: CKM mixing  
angles (MFV)

BR(B  $\rightarrow$  X<sub>s</sub>γ)



BR(B  $\rightarrow$  TV) /  
BR(B  $\rightarrow$  TV)<sup>SM</sup>

# SUSY breaking, SU(5) etc...

talk by  
Y. Shimizu

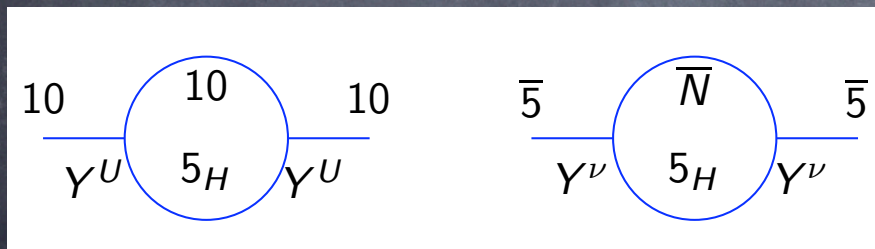
SUSY SU(5) GUT with right-handed neutrinos  
Quarks and leptons are unified

$$W = \frac{1}{4} Y_{ij}^u 10_i 10_j 5_H + \sqrt{2} Y_{ij}^d 10_i \bar{5}_j \bar{5}_H + Y_{ij}^\nu \bar{5}_i \bar{N}_j 5_H + M_{Nij} \bar{N}_i \bar{N}_j,$$

$$10_i = (Q, \bar{U}, \bar{E})_i, \quad \bar{5}_i = (\bar{D}, L)_i, \quad 5_H = (H_C, H_2), \quad \bar{5}_H = (\bar{H}_C, H_1)$$

Even if the universality is assumed at the planck scale,  
flavor mixing is induced for squarks/sleptons.

'86 Borzmati, Masiero,  
'95, '96, '99 Hisano et al,



$$10 = (Q, \bar{U}, \bar{E})$$

$$\bar{5} = (\bar{D}, L)$$

CKM mixing

MNS mixing

# SUSY breaking, SU(5) etc...

talk by  
Y. Shimizu

## SU(5) prediction for the mass insertion $\delta$ 's

$$(\delta_{RR}^{(d)})_{32} \simeq -1 \times 10^{-3} \times e^{i(\varphi_{d_2} - \varphi_{d_3})} \\ \times \left( \frac{m_{\nu_\tau}}{5 \times 10^{-2} \text{eV}} \right) \left( \frac{M_{\nu_\tau}}{10^{13} \text{GeV}} \right) \left( \frac{U_{33} U_{23}^*}{1/2} \right) \left( \frac{3m_0^2 + A_0^2}{3m_{\tilde{q}}^2} \right)$$

Immediately provide a correlations...

$$B(\tau \rightarrow \mu\gamma) \approx c |(\delta_{LL}^{(l)})_{23}|^2 \mu^2 \tan^2 \beta$$

$$H^{B_s} \approx a (\delta_{LL}^{(d)})_{23} (\delta_{RR}^{(d)})_{23}$$

**MFV, Model Independent**

# Model Independent

Marcella Bona

New Physics from

talk by  
M. Bona

## UT analysis including new physics (NP)

Consider for example  $B_s$  mixing process.  
Given the SM amplitude, we can define

$$C_{B_s} e^{-2i\phi_{B_s}} = \frac{\langle \bar{B}_s | H_{\text{eff}}^{\text{SM}} + H_{\text{eff}}^{\text{NP}} | B_s \rangle}{\langle \bar{B}_s | H_{\text{eff}}^{\text{SM}} | B_s \rangle} = 1 + \frac{A_{\text{NP}} e^{-2i\phi_{\text{NP}}}}{A_{\text{SM}} e^{-2i\beta_s}}$$

All NP effects can be parameterized in terms of one complex parameter for each meson mixing, to be determined in a simultaneous fit with the CKM parameters (now there are enough experimental constraints to do so).

For kaons we use  $Re$  and  $Im$ , since the two exp. constraints  $\epsilon_K$  and  $\Delta m_K$  are directly related to them (with distinct theoretical issues)

$$C_{\epsilon_K} = \frac{\text{Im} \langle K^0 | H_{\text{eff}}^{\text{full}} | \bar{K}^0 \rangle}{\text{Im} \langle K^0 | H_{\text{eff}}^{\text{SM}} | \bar{K}^0 \rangle}$$

$$C_{\Delta m_K} = \frac{\text{Re} \langle K^0 | H_{\text{eff}}^{\text{full}} | \bar{K}^0 \rangle}{\text{Re} \langle K^0 | H_{\text{eff}}^{\text{SM}} | \bar{K}^0 \rangle}$$

# Model Independent

talk by  
M. Bona

Marcella Bona

New Physics

## Testing the TeV scale

$$C_i(\Lambda) = F_i \frac{L_i}{\Lambda^2}$$

The dependence of  $C$  on  $\Lambda$  changes on flavor structure.  
we can consider different flavour scenarios:

- **Generic:**  $C(\Lambda) = \alpha/\Lambda^2$   $F_i \sim 1$ , arbitrary phase
- **NMFV:**  $C(\Lambda) = \alpha \times |F_{SM}|/\Lambda^2$   $F_i \sim |F_{SM}|$ , arbitrary phase
- **MFV:**  $C(\Lambda) = \alpha \times |F_{SM}|/\Lambda^2$   $F_1 \sim |F_{SM}|$ ,  $F_{i \neq 1} \sim 0$ , SM phase

$\alpha$  ( $L_i$ ) is the coupling among NP and SM

- ⊙  $\alpha \sim 1$  for strongly coupled NP
- ⊙  $\alpha \sim \alpha_w$  ( $\alpha_s$ ) in case of loop coupling through **weak** (**strong**) interactions

$F_{SM}$  is the combination of CKM factors for the considered process

If no NP effect is seen  
lower bound on NP scale  $\Lambda$   
if NP is seen  
upper bound on NP scale  $\Lambda$

# Model independent

talk by  
M. Bona

Marcella Bona

New Physics

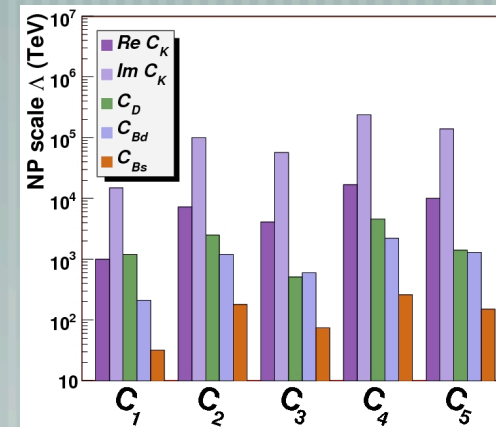
## Upper and lower bound on the scale

Lower bounds on NP scale from K and  $B_d$  physics (in TeV at 95% prob.)

Scenario	strong/tree	$\alpha_s$ loop	$\alpha_W$ loop
MFV	5.5	0.5	0.2
NMFV	62	6.2	2
General	24000	2400	800

Upper bounds on NP scale from  $B_s$ :

Scenario	strong/tree	$\alpha_s$ loop	$\alpha_W$ loop
NMFV	35	4	2
General	800	80	30



- the **general** case was already problematic (well known flavour puzzle)
- **NMFV** has problems with the size of the  $B_s$  effect vs the (insufficient) suppression in  $B_d$  and (in particular) K mixing
- **MFV** is OK for the size of the effects, but the  $B_s$  phase cannot be generated

Data suggest some hierarchy in NP mixing which is stronger than the SM one

# Non-Minimal Flavour Violation

talk by  
Z. Jure

## Motivation

two questions

- $Y_u, Y_d$  have  $O(1)$  eigenvalues  $y_{t,b}$ , why are we able to expand  $\bar{Q}f(\epsilon_u Y_u, \epsilon_d Y_d)Q$ ?
  - if  $\epsilon_{u,d} \ll 1$ : series truncates after first few terms  $\Rightarrow$   
**Linear MFV**  $\Rightarrow$  expansion in  $Y_{u,d}$
  - if  $\epsilon_{u,d} = O(1)$ : higher terms important  $\Rightarrow$   
**Nonlinear MFV**  $\Rightarrow$  need to reorganize expansion
- can we distinguish LMFV vs. NLMFV?
  - interesting since  $\epsilon_{u,d} \propto \log(\mu_W/\Lambda_F) \Rightarrow$  could give a handle on physics at higher scales (with caveats)



# Non-Minimal Flavour Violation

talk by  
Z. Jure

- enhancements for CPV in  $D - \bar{D}$  mixing

- relevant operators:  $(\bar{\tilde{u}}_L^{(2)} \chi \chi^\dagger u_L)^2$ ,  
 $(\bar{\tilde{u}}_L^{(2)} \chi \chi^\dagger u_L)(\bar{\tilde{u}}_L^{(2)} \phi_d \phi_d^\dagger u_L)$

- resulting CP violation in mixing

$$\arg(M_{12}/\Gamma_{12}) = O(5\%) (1 \text{ TeV}/\Lambda)^2 (\sin 2\gamma, \sin \gamma)$$

# $\tau \rightarrow \mu \gamma$ vs $\mu \rightarrow e \gamma$

talk by  
O. Vives

$\tau$  vs  $\mu$ : where to look for new physics?

## Example II: $\mu$ versus $\tau$

- Present experimental sensitivity in  $\mu$  LFV decays:  
 $\propto \text{BR}(\mu \rightarrow e \gamma) = 10^{-11}$  ( $10^{-13}$ )

while in  $\tau$  LFV decays:

$$\propto \text{BR}(\tau \rightarrow \mu \gamma) = 10^{-8}$$
 ( $10^{-9}$ )

- Generically we can write  $l_i \rightarrow l_j \gamma$  transitions:

$$\text{BR}(l_i \rightarrow l_j \gamma) \simeq \left( \frac{M_W}{M_{NP}} \right)^4 \times |(\delta^l)_{ij}|^2 \times f(\tan \beta, \mu \dots),$$



Interesting models determined by flavour structure:

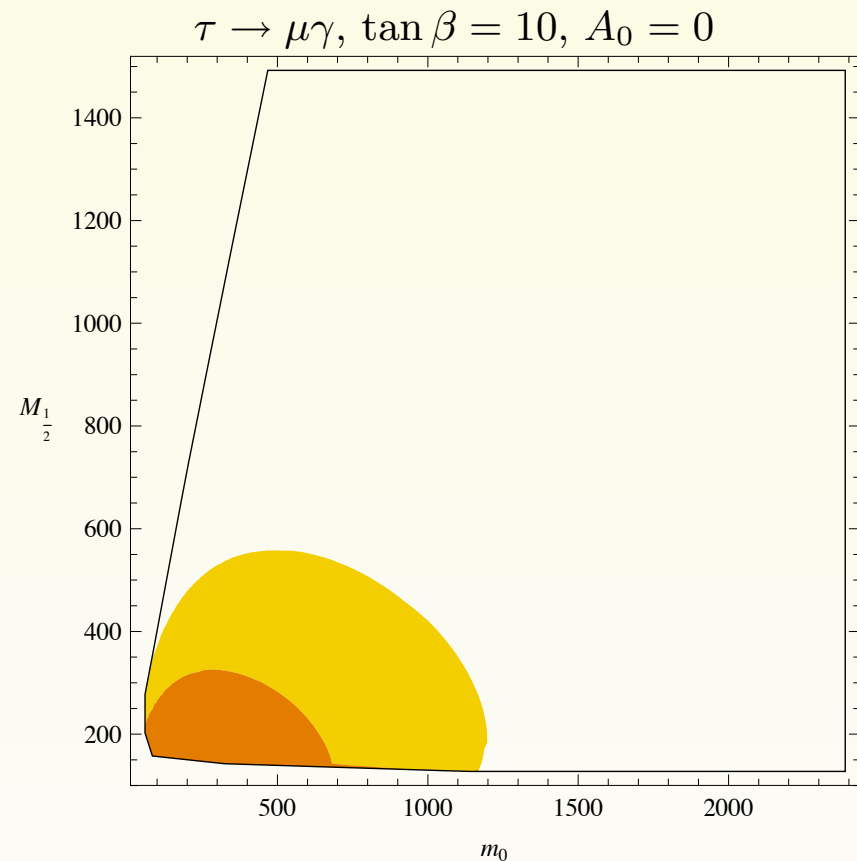
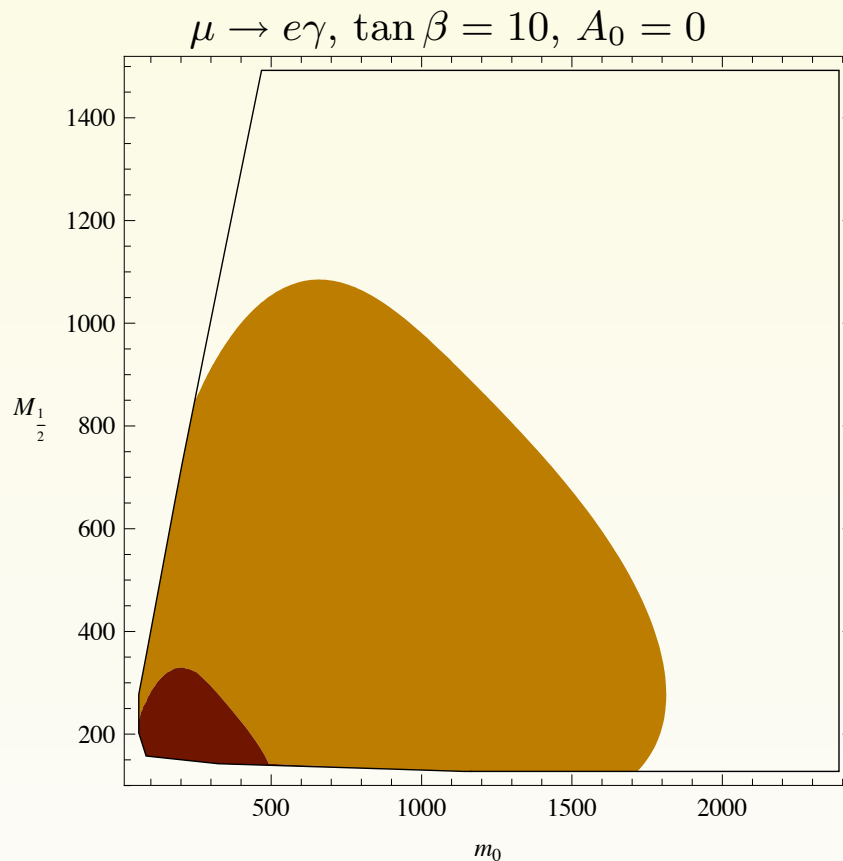
$$|(\delta^l)_{i3}/(\delta^l)_{12}| \gtrsim 30 \text{ (100)}$$

# $\tau \rightarrow \mu \gamma$ vs $\mu \rightarrow e \gamma$

talk by  
O.Vives

$\tau$  vs  $\mu$ : where to look for new physics?

## Lepton Flavour Violation



Brown (clear): Present (fut.)  $\mu \rightarrow e \gamma$  bounds, Orange: Present (fut.)  $\tau \rightarrow \mu \gamma$  bounds.

# Little Higgs and Extra Dimension

# Little Higgs with T-Parity

talk by  
B. Duling

## The Littlest Higgs Model with T-Parity

Arkani-Hamed, Cohen, Georgi, hep-th/0104005, hep-ph/0105239

Arkani-Hamed, Cohen, Katz, Nelson, hep-ph/0206021

Cheng, Low, hep-ph/0308199, hep-ph/0405243

### Little Higgs Idea

Higgs boson as a **pseudo-Goldstone boson**

- **collective symmetry breaking** explains smallness of its mass

- **T-even quark sector:**

$$\begin{pmatrix} u \\ d \end{pmatrix}_L \quad \begin{pmatrix} c \\ s \end{pmatrix}_L \quad \begin{pmatrix} t \\ b \end{pmatrix}_L \quad u_R \quad c_R \quad t_R \quad T_+ \\ d_R \quad s_R \quad b_R$$

- ▶ **standard CKM mixing** + mixing of  $T_+$  with  $t$

- **T-odd mirror quark sector:**

Low, hep-ph/0409025

$$\begin{pmatrix} u_H \\ d_H \end{pmatrix} \quad \begin{pmatrix} c_H \\ s_H \end{pmatrix} \quad \begin{pmatrix} t_H \\ b_H \end{pmatrix} \quad T_-$$

- ▶ **new CKM-like mixing matrices**  $V_{Hu}$ ,  $V_{Hd}$  parameterizing mirror quark interactions with SM quarks

# Little Higgs with T-Parity

talk by  
B. Duling

relative size of LHT effects:  $\propto \frac{1}{\lambda_{\text{CKM}}^i} \xi_{V_{Hd}}^i$

$$\frac{1}{\lambda_t^{(K)}} \simeq 2500$$

$\gg$

$$\frac{1}{\lambda_t^{(d)}} \simeq 100$$

$>$

$$\frac{1}{\lambda_t^{(s)}} \simeq 25$$

Large tau to three lepton LFV decays due to the Z contribution!

Small in B Physics?!

	LHT	MSSM
$\frac{Br(\mu^- \rightarrow e^- e^+ e^-)}{Br(\mu \rightarrow e \gamma)}$	0.02... 1	$\sim 6 \cdot 10^{-3}$
$\frac{Br(\tau^- \rightarrow e^- e^+ e^-)}{Br(\tau \rightarrow e \gamma)}$	0.04... 0.4	$\sim 1 \cdot 10^{-2}$
$\frac{Br(\tau^- \rightarrow \mu^- \mu^+ \mu^-)}{Br(\tau \rightarrow \mu \gamma)}$	0.04... 0.4	$\sim 2 \cdot 10^{-3}$ ★
$\frac{Br(\tau^- \rightarrow e^- \mu^+ \mu^-)}{Br(\tau \rightarrow e \gamma)}$	0.04... 0.3	$\sim 2 \cdot 10^{-3}$ ★
$\frac{Br(\tau^- \rightarrow \mu^- e^+ e^-)}{Br(\tau \rightarrow \mu \gamma)}$	0.04... 0.3	$\sim 1 \cdot 10^{-2}$

★ can be significantly enhanced by Higgs contributions

# Little Higgs with T-Parity

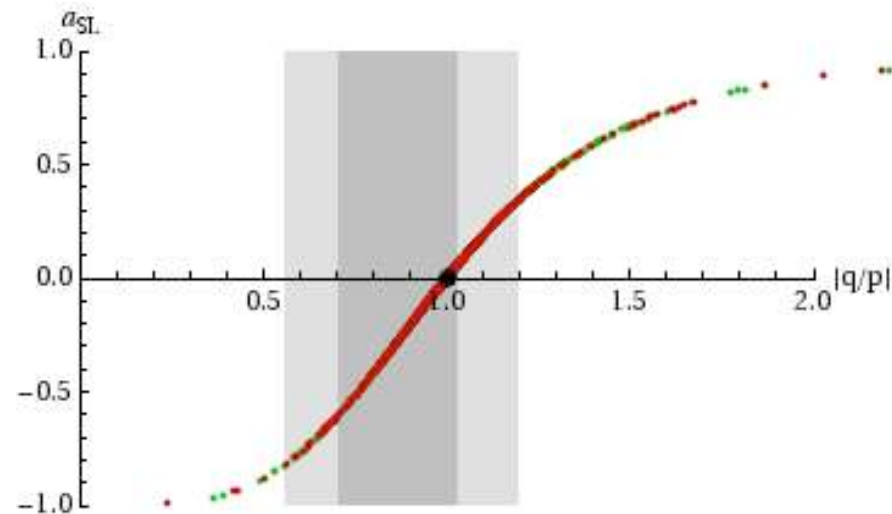
talk by  
M. Blanke

$D^0 - \bar{D}^0$  Mixing and CP-Violation in the LHT Model

## CP-Violation in $D^0 - \bar{D}^0$ Oscillations

- $\left| \frac{q}{p} \right| \neq 1$  measures **CP-violation** in  $D^0 - \bar{D}^0$  mixing
- exp. signature: **asymmetry in “wrong sign” leptons**

$$a_{\text{SL}} = \frac{\Gamma(D^0 \rightarrow \ell^- \bar{\nu} K^{+(*)}) - \Gamma(\bar{D}^0 \rightarrow \ell^+ \nu K^{-(*)})}{\Gamma(D^0 \rightarrow \ell^- \bar{\nu} K^{+(*)}) + \Gamma(\bar{D}^0 \rightarrow \ell^+ \nu K^{-(*)})}$$



BBBR

# Little Higgs with T-Parity

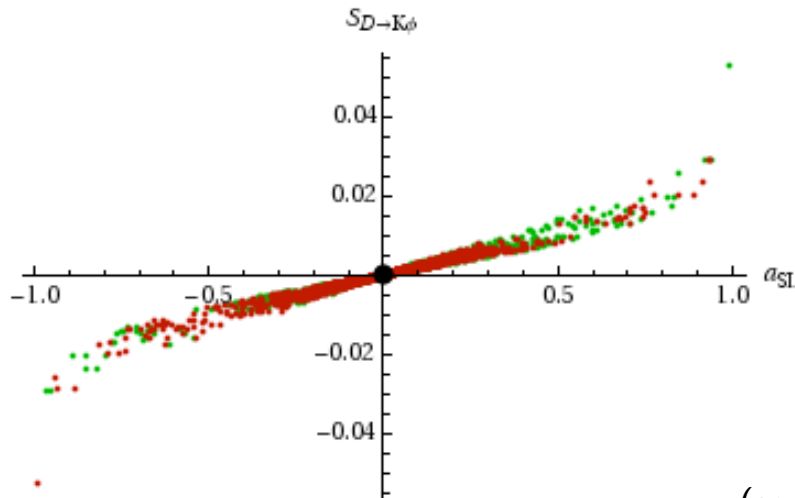
talk by  
M. Blanke

$D^0 - \bar{D}^0$  Mixing and CP-Violation in the LHT Model

## Correlation between various CP-Asymmetries

example: **time-dependent CP-asymmetry in  $D \rightarrow K_S \phi$**

$$\frac{\Gamma(D^0(t) \rightarrow K_S \phi) - \Gamma(\bar{D}^0(t) \rightarrow K_S \phi)}{\Gamma(D^0(t) \rightarrow K_S \phi) + \Gamma(\bar{D}^0(t) \rightarrow K_S \phi)} \equiv S_{D \rightarrow K_S \phi} \frac{t}{2\tau_D}$$



$$S_{D \rightarrow K_S \phi} \simeq \frac{x_D^2 + y_D^2}{y_D} a_{SL}$$

BBBR

(see also GROSSMAN, NIR, PEREZ, 0904.0305)

- strong correlation with  $a_{SL}$
- its **violation** would **signal direct CP-violation**



# Warped ExtraD with flavour

Part 1: Introduction to Warped Extra Dimensions

talk by  
K. Gemmler

## The Flavour problem



gauge hierarchy problem solved

- Hierarchies in masses of quarks and leptons:

$$m_u \approx 5 \text{ MeV}, \dots, m_t \approx 172.5 \text{ GeV}$$

$$m_e \approx 0.5 \text{ MeV}, \dots, m_\tau \approx 1800 \text{ MeV}$$

- Hierarchies in the CKM mixing:

$$|V_{ud}| \approx 1, \dots, |V_{ub}| \approx 0.0038$$

**Goal:** Solution to the flavour problem

- allow the SM fields to propagate in the bulk (except of the Higgs)  
⇒ 5D fields

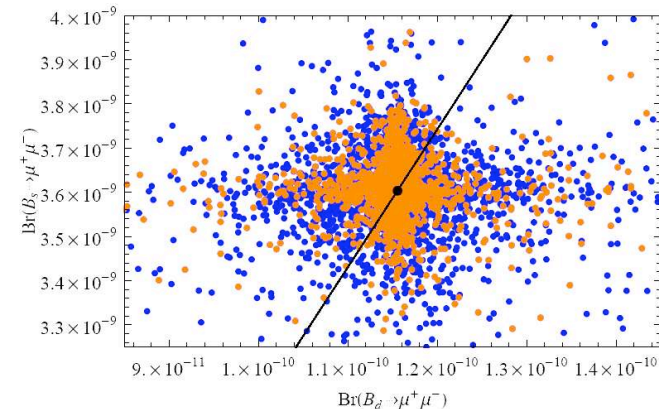
# Warped ExtraD with flavour

talk by  
K. Gemmler

## Rare B decays

$Br(B_s \rightarrow \mu^+ \mu^-)$  versus  $Br(B_d \rightarrow \mu^+ \mu^-)$ :

- The branching ratios for  $B_{s,d} \rightarrow \mu^+ \mu^-$  are modified by at most 20%.
- effects are small and challenging to be measured in future experiments



Relatively new model. More signals in B physics possible. Loop computation is crucial?!