# Improved results of the PM Cal Nov 2015 BFT test

#### Padme Coll. Meeting 1/3/2016

#### **Fabio Ferrarotto (RM1)**

PM Calo runs : 304 (150 MeV), 305 (297 MeV), 302 (431 MeV) 3\*3 cm crystals (same as old BTF test)

Always used positive signal - pedestal subtracted Normalized at 1 V 9 read detectors + trigger signal

# Signal noise vs threshold

Detector 4 at lower HV - to "unify" multiplication used factor 1.2 on signal From start of signal (first 120 channels) : pedestal and noise Good centering det 4 :  $\sigma_{\text{noise}} = 0.99 \text{ mV}$  (factor 1.2) Good centering det 5 and others :  $\sigma_{\text{noise}} = 0.77 \text{ mV}$  (factor 1.0)

In the following used 6  $\sigma$  cut for all detectors for "good signal" threshold

Entries Mean RMS χ<sup>2</sup> / nc

0.002

894380+0

.595e+05 / 42

0.006

389438

0.004608

0.0004467

VThr5

Entries

Mean

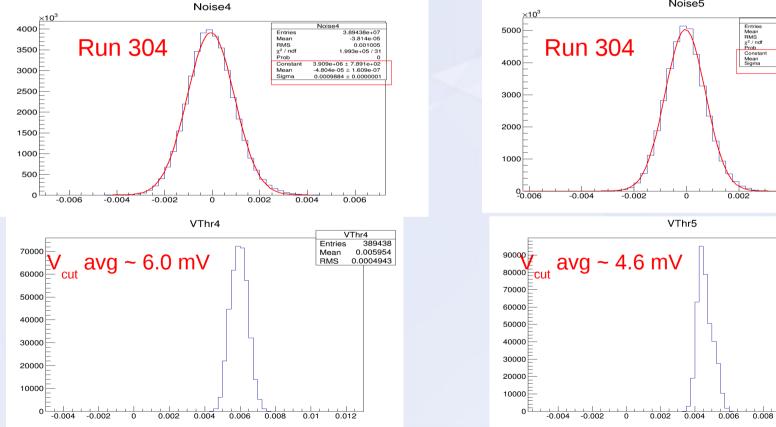
RMS

0.01

0.012

5.023e+06 ± 1.007e+0 -3.563e-05 ± 1.256e-0 0.0007701 ± 0.000000

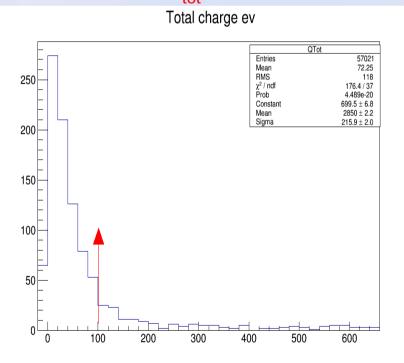
0.004

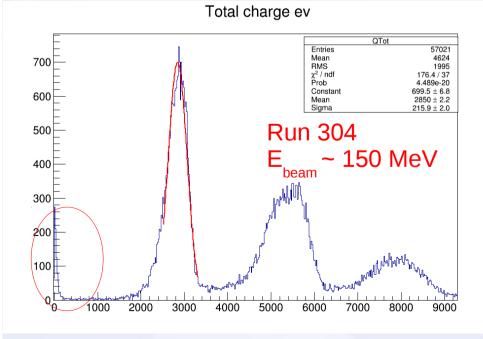


# **Qtot threshold**

In Run 304 (E<sub>beam</sub> ~ 150 MeV) peak at Q<sub>tot</sub> ~2850 pC for 150 MeV particle (assuming > 1 detector/event with max on det 4) In exploded figure of left part we see the remaining noise peak with a cut a 6  $\sigma_{noise}$  per each detector

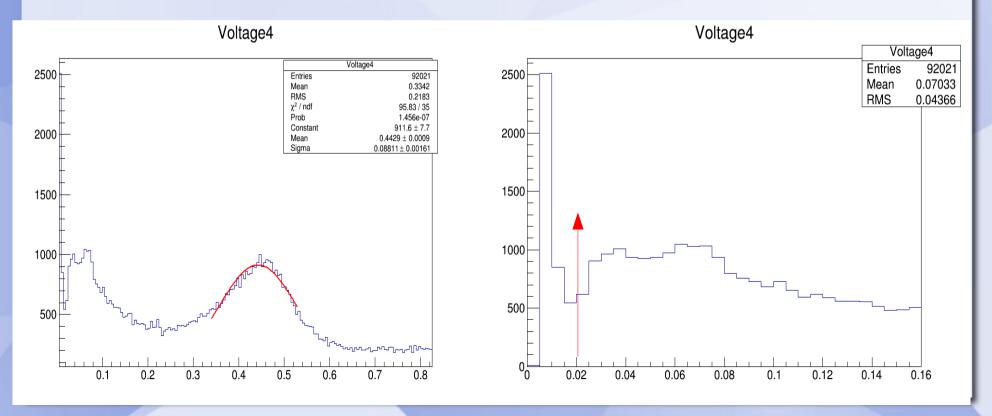
We can appreciate a peak on the background for  $Q_{tot} \ge 100 \text{ pC} \cong a \text{ minimal energy} \sim 5.3 \text{ MeV}$ 





# **Single det threshold- Vmax**

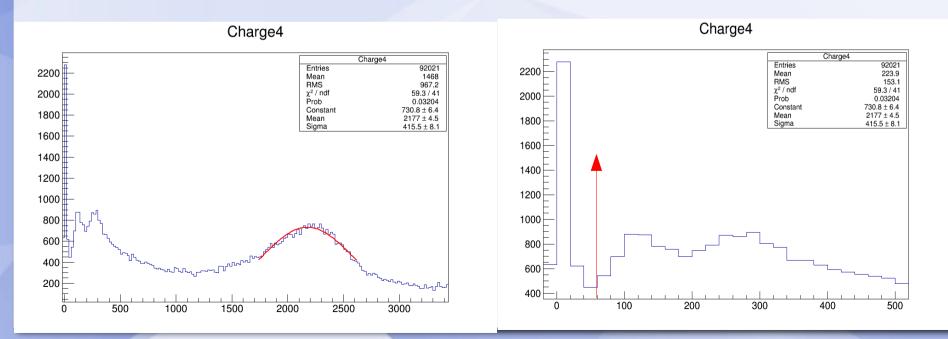
For very low signals most probably we'll have signal on only 1 detector We examine then what happens on the "central" detector as single det Only detector 4 : peak for 150 MeV particles at ~ 442 mV With cut at 6  $\sigma_{noise}$  we can appreciate a signal over ~ 20 mV = 6.5 MeV



# Single det threshold- Qtot

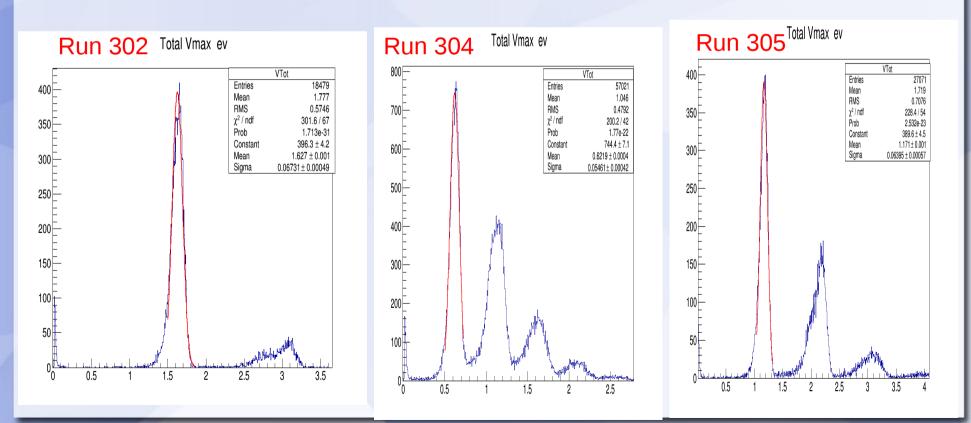
For very low signals most probably we'll have signal on only 1 detector We examine then what happens on the "central" detector as single det Only detector 4 : peak for 150 MeV particles at ~ 2170 pC With cut at 6  $\sigma_{noise}$  we can appreciate a signal  $\geq$  60 pC = 4.2 MeV

We can see in charge a signal at a minimum of  $\sim 4 \text{ MeV}$ 



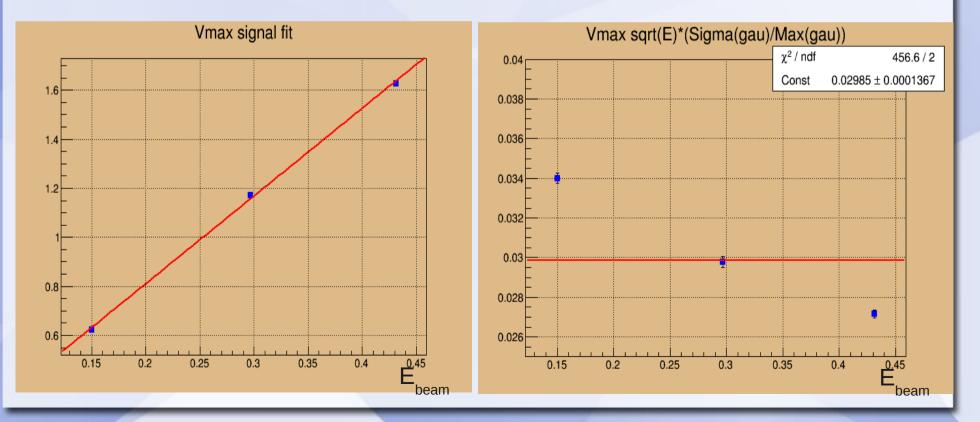
# Vmax fit

Sum of Vmax for all det with Vmax > 6  $\sigma_{noise}$ Corrected Vmax by – 6% when signal saturated Good gaussian fit on 1 particle signal Signal for multiple particles ~ proportionals



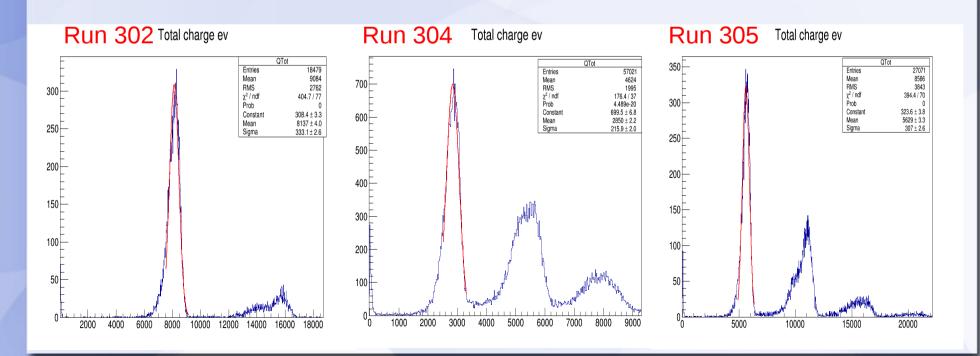
# **Vmax linearity - resolution**

Excellent signal linearity Resolution at 1 GeV NOT constant : from 3.4% to 2.7% . avg ~ 3.0%



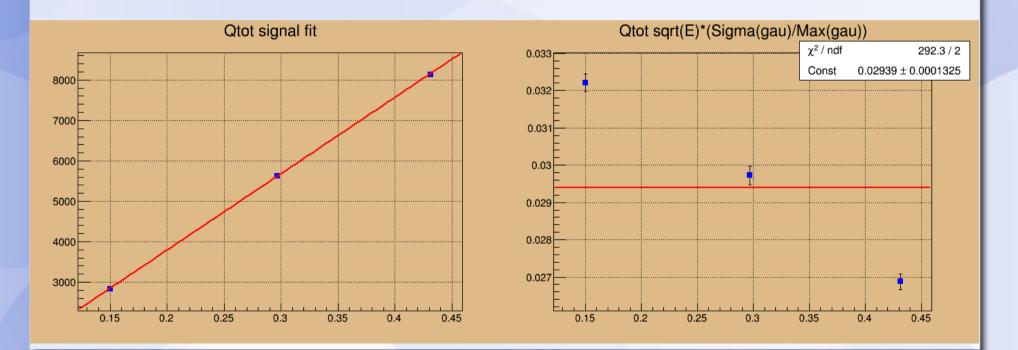
# **Qtot fit**

Sum of Qtot(Tstart-900) in  $T_{sig}$ - $T_{trig}$  for all det with Vmax > 6  $\sigma_{noise}$ Corrected Qtot by – 2% when signal saturated Good gaussian fit on 1 particle signal Signal for multiple particles ~ proportionals



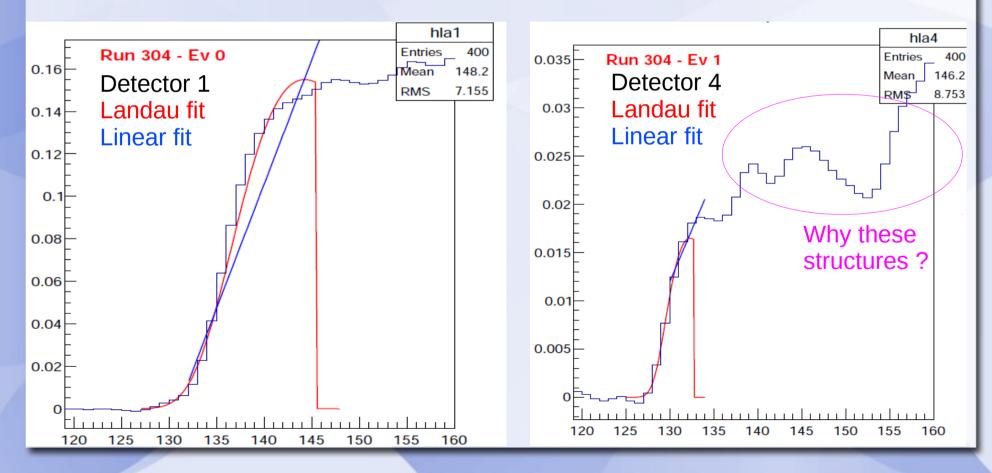
# **Qtot linearity - resolution**

Excellent signal linearity Resolution at 1 GeV NOT constant : from 3.24% to 2.7% . avg ~ 2.9%



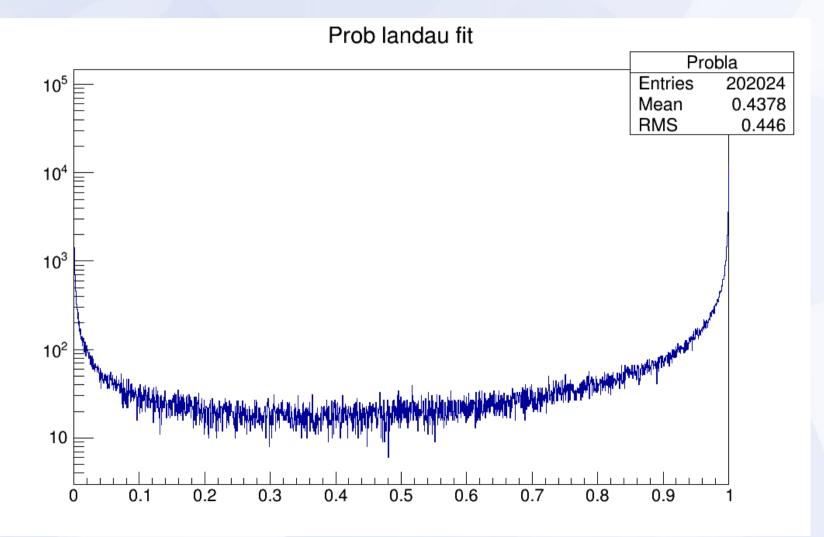
#### **Time resolution - Landau**

Idea : fitting the signal start\_time-Ttrig from threshold (> 4 mV) to the first maximum (<150 nsec) with a Landau and take mpv -3σ as starting point of signal. Signal smoothed with Smooth(6) to avoid noise fluctuations. Seems to do the jobs quite well also for smaller signals. Works in the same way for saturated and unsaturated signals.



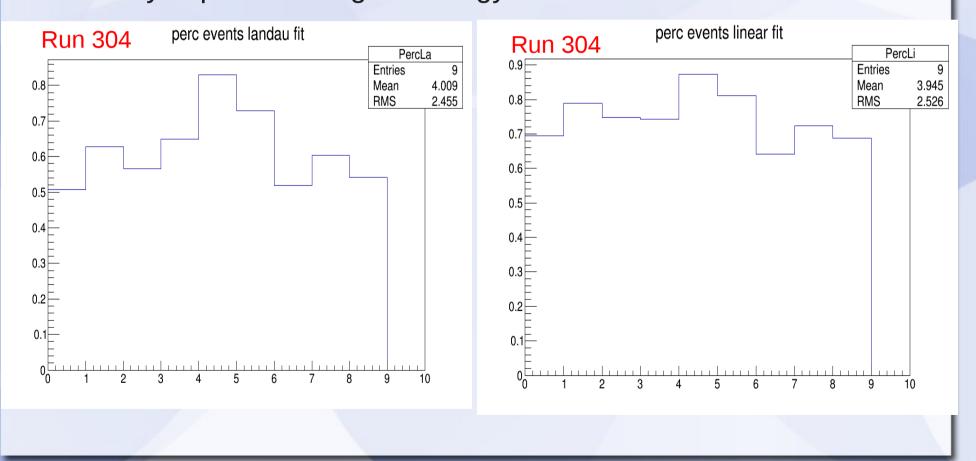
# Landau fit probability

#### Fit probability distribution seems decent for Landau



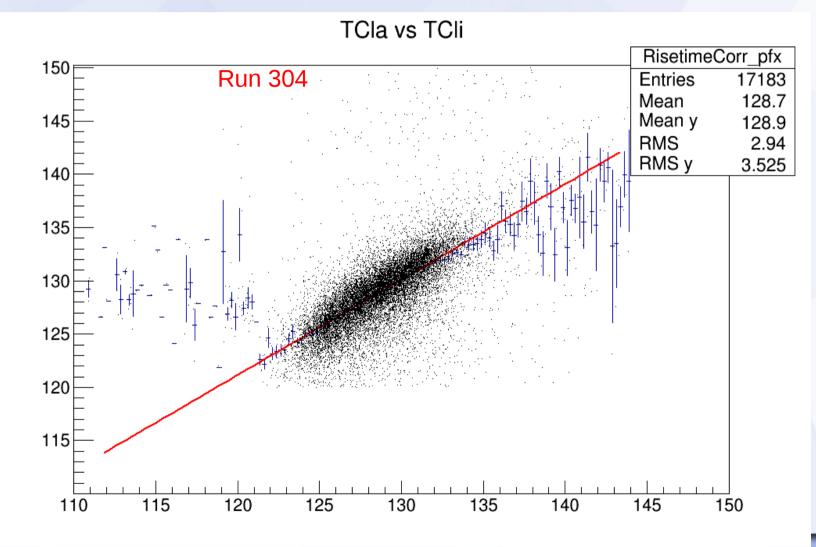
# **Fit efficiency**

Run 304 – efficiency (events fit OK /total) for Landau and linear fit vs crystal number Linear fit more "efficient", but less robust and less precise. Efficiency improves in higher energy runs.



### Landau vs Linear fit

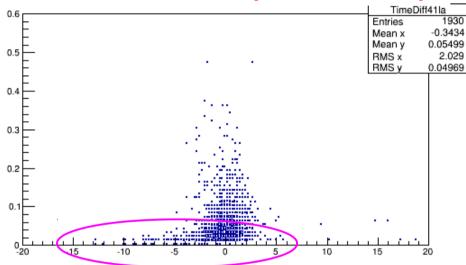
Clear correlation observed – we could use "corrected" linear fit also when Landau fit fails



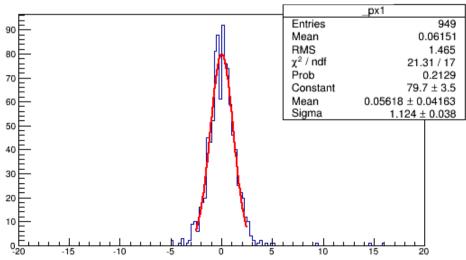
#### **Time resolution 4-1**

Run 304 (E~150 Mev) – worst case for time resolution Difference Tstart\_4 –Tstart\_1 (Landau fit)

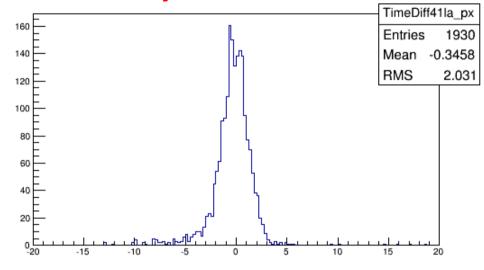
#### T4-T1 vs min(Vmax4,Vmax1)



#### Projection only minV>50 mV



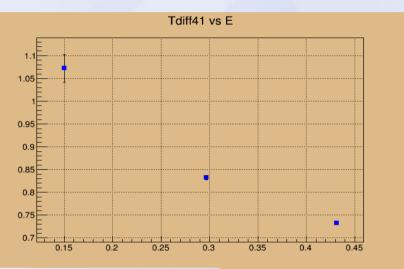
**Projection all events** 

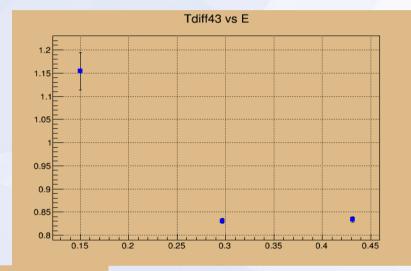


Worst case : resolution at lower minV Event bulk time resolution improves with a cut minV>50 mV to the level of the nsec

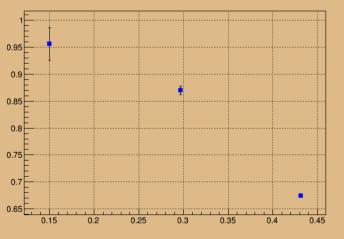
# **Time resolution vs E**

Time resolution (cut at 50 mV minV) improves with energy to levels < O(1 nsec) for higher energies We may have serious problems with lower energy gammas





Tdiff45 vs E



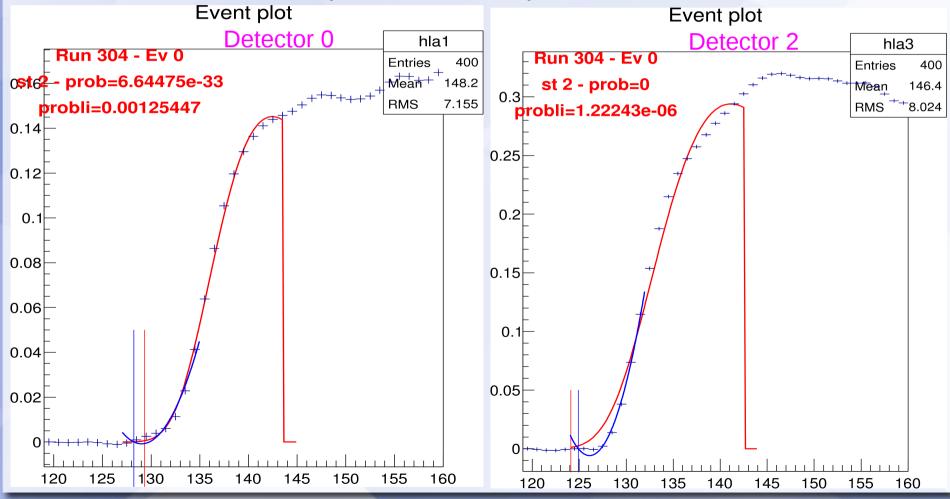


# **Time resolution - quadratic**

Tried also fit with quadratic function  $\rightarrow$  better start point : start of signal is NOT linear

Problems : - which of the 2 quadratic solutions to use ?

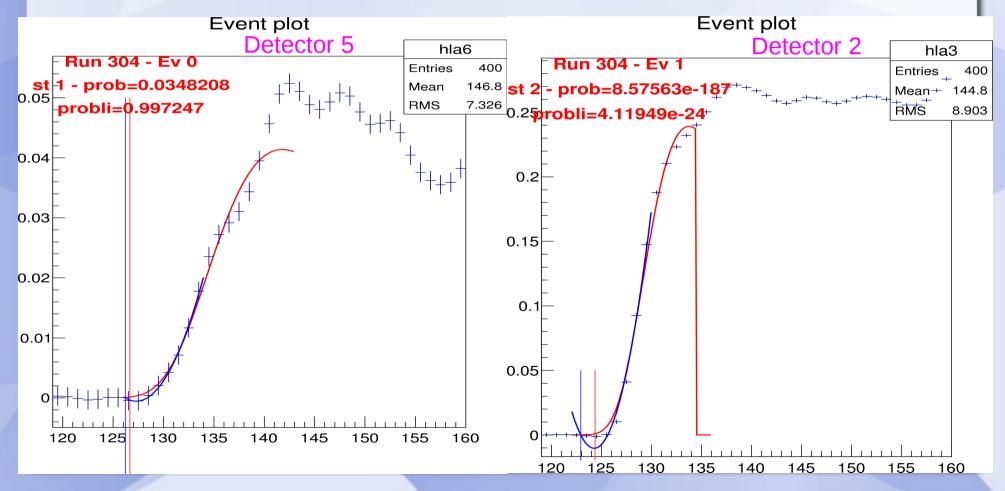
- same starting point from quadric zero and mpv- $3\sigma$  landau
- from which prob level accept the fit ?



# **Time resolution**

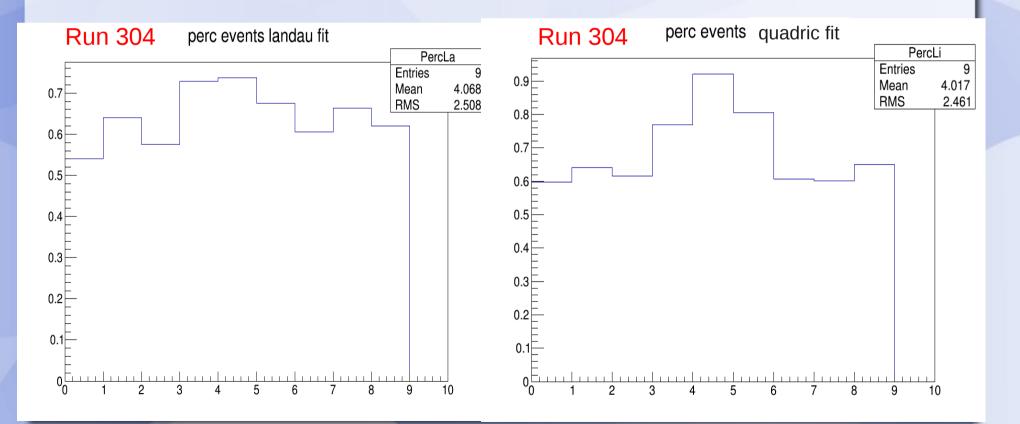
Tried also fit with quadratic function  $\rightarrow$  better start point : start of signal is NOT linear

- Problems : which of the 2 quadratic solutions to use ?
  - same starting point from quadric zero and mpv-3  $\sigma$  landau
  - from which prob level accept the fit ?



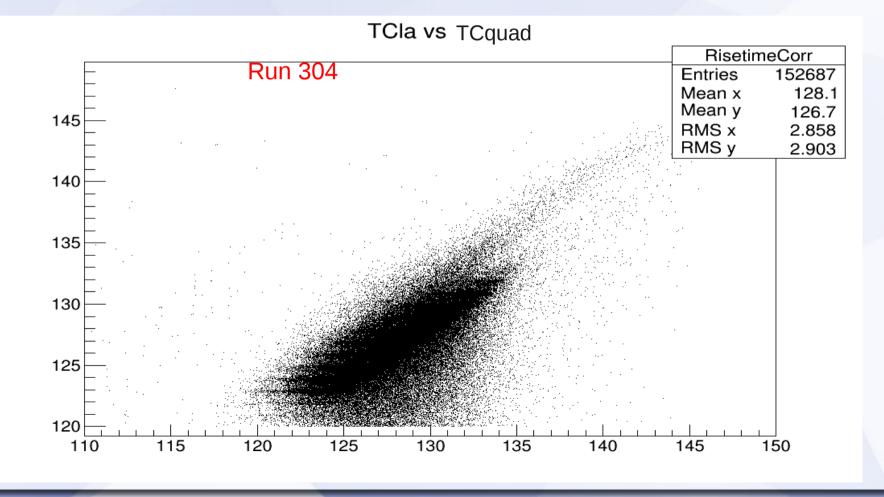
# **Fit efficiency**

Run 304 – efficiency (events fit OK /total) for Landau and quadric fit vs crystal number Quadric fit slightly more "efficient" than landau fit. Efficiency improves in higher energy runs.



# Landau vs Quadric fit

Not so clear correlation observed - how to correct ?



### Conclusions

Still studying how to finalize Landau fit to improve resolution and efficiency issues.

In case Landau fit does NOT succeed :

- we may use quadratic fit
- in case of failure of both use linear fit
- studying cuts to accept fits
- studying how to "match" fitted signal time starts in all cases

Studies seem promising, but we're not yet OK with foreseen goal.

Also waiting to check results from time resolution studies from runs with diamond detector and scintillator