

Anisotropies in GeV-TeV cosmic ray electron and positron fluxes

based on

S. Manconi, M. Di Mauro, F. Donato, in preparation

Silvia Manconi

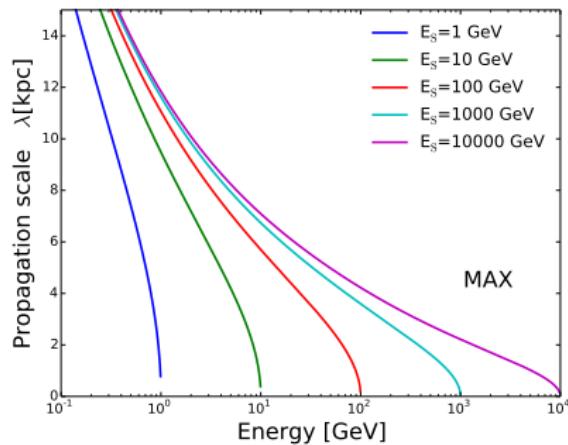
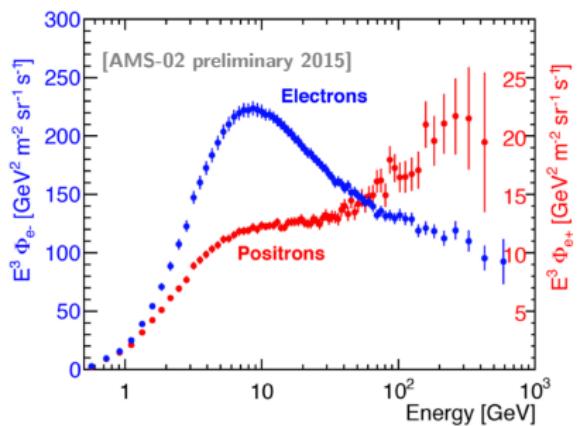
University of Torino and INFN

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GeV-TeV e^\pm are probes of the local Galaxy

AMS-02, *Fermi*-LAT, PAMELA: **high precision measurements** for
GeV-TeV e^\pm **fluxes** and **anisotropy upper limits**



\Rightarrow Typical propagation scale for GeV-TeV e^\pm is < 5 kpc

Flux interpretation:

- Astrophysical known sources? [Malyshev+2009; Di Mauro+2014; ...]
- Dark matter annihilations? [Cirelli+2009; Grasso+2009; Di Mauro+2016; ...]

Outline

Can local astrophysical sources produce anisotropies in
GeV-TeV e^\pm ?

1. Sources

2. Diffusion

3. Anisotropy

4. Analysis and methods

5. Results: Single sources

6. Results: Source collection

Supernova Remnants (SNRs) as e^- sources

Injection spectrum

- Acceleration mechanism: **Fermi non-relativistic shocks**
- Energy cutoff: TeV range [Acciari+2010 (VERITAS)]
- Injection spectrum:



$$Q(E) = Q_{0,\text{SNR}} \left(\frac{E}{E_0} \right)^{-\gamma_{\text{SNR}}} \exp \left(-\frac{E}{E_c} \right)$$

We fix $E_c = 5 \text{ TeV}$, $E_0 = 1 \text{ GeV}$

- Single SNR $Q_{0,\text{SNR}}$ constrained with radio + catalog data [Delahaye+2010]

$$Q_{0,\text{SNR}} = 1.2 \cdot 10^{47} \text{ GeV}^{-1} (0.79)^{\gamma_{\text{SNR}}} \left[\frac{d}{\text{kpc}} \right]^2 \left[\frac{\nu}{\text{GHz}} \right]^{\frac{(\gamma_{\text{SNR}}-1)}{2}} \left[\frac{B}{100 \mu\text{G}} \right]^{-\frac{(\gamma_{\text{SNR}}+1)}{2}} \left[\frac{B_r^\nu}{\text{Jy}} \right]$$

distance magnetic field radio flux

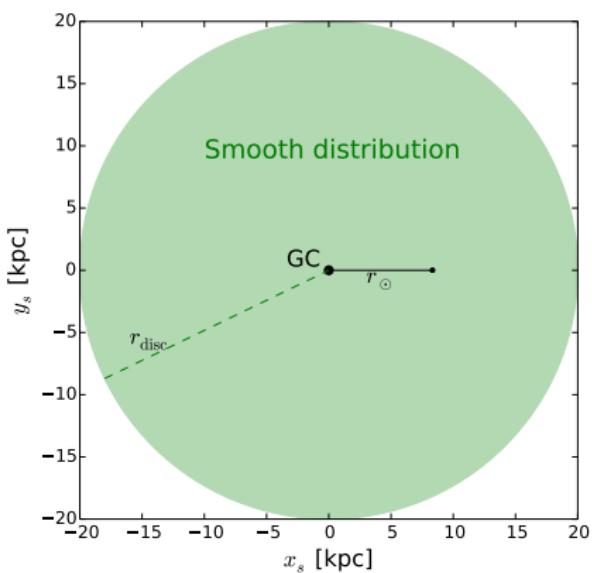
- Smooth SNR $Q_{0,\text{SNR}}$ constraints from average characteristics

[Delahaye+2010]

Supernova Remnants (SNRs) as e^- sources

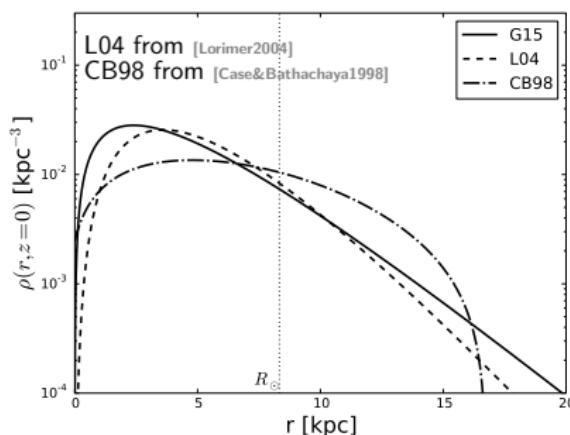
Spatial distribution

Smooth distribution of sources
in the Galaxy:



Radial distribution from [Green2015] (G15)

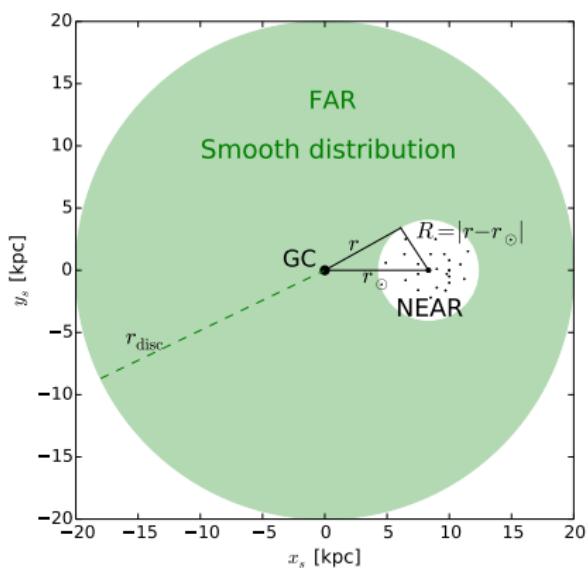
$$\rho(r) \propto \left(\frac{r}{r_\odot}\right)^\alpha \exp\left(-\beta\frac{(r-r_\odot)}{r_\odot}\right)$$



Supernova Remnants (SNRs) as e^- sources

Spatial distribution

Cutted smooth distribution +
single sources in the Galaxy:



FAR component ($R > R_{\text{cut}}$)

Radial distribution from [Green2015]

$$\rho(r) \propto \left(\frac{r}{r_\odot}\right)^\alpha \exp\left(-\beta \frac{(r - r_\odot)}{r_\odot}\right)$$

NEAR component ($R < R_{\text{cut}}$)

Single sources from SNR Green catalog
[Green2014]

$$R_{\text{cut}} = 0.7, 3 \text{ kpc}$$

Pulsar wind nebulae (PWNe) as e^\pm sources

- Acceleration mechanism: **relativistic shocks**
- Injection spectrum:

$$Q(E) = Q_{0,\text{PWN}} \left(\frac{E}{E_0} \right)^{-\gamma_{\text{PWN}}} \exp \left(-\frac{E}{E_c} \right)$$

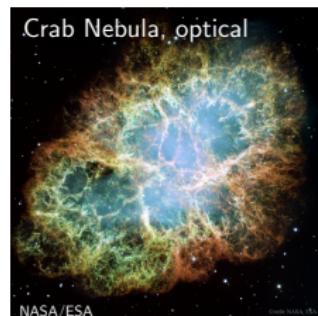
Single $Q_{0,\text{PWN}}$ from

$$E_{e^\pm} = \int dE E Q(E) = \eta W_0$$

η = conversion efficiency $\sim 10\%$ [Gelfand+2009], W_0 = spin-down energy

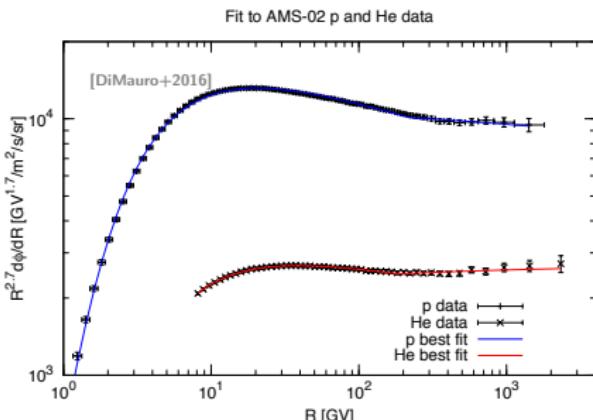
- ① **Spatial distribution:** single PSR from ATNF catalog [Manchester+2005] (distance d , age T , W_0)
- ② Pair release in the ISM for $T \gtrsim 50$ kyr [Blasi&Amato2011]

NB: η and γ_{PWN} are the same for all PWNe



Secondary e^\pm are produced by CR nuclei fragmentation on the ISM

- Dominant mechanism:
 $p_{\text{CR}} + H_{\text{ISM}} \rightarrow X + \pi^\pm \rightarrow \dots$
- Primary Φ_{CR} (p, He)
from a fit to AMS-02 data \Rightarrow
- Source term: [Delahaye+2009]



$$Q_{\text{sec}}(\mathbf{x}, E_e) = 4\pi n_{\text{ISM}}(\mathbf{x}) \int dE_{\text{CR}} \Phi_{\text{CR}}(\mathbf{x}, E_{\text{CR}}) \frac{d\sigma}{dE_e}(E_{\text{CR}}, E_e)$$

interstellar gas density

primary CR flux

inclusive cross section

[Kamae+2006]

\Rightarrow Results from [DiMauro+2016] with additional free normalization q_{sec} .

Propagation of e^\pm is dominated by diffusion and energy losses

Semi analytical diffusion model successfully used to interpret CR leptons, protons [Maurin+2001, Donato+2004, DiMauro+2014, ...]

$$\frac{\partial \psi}{\partial t} - \nabla \cdot \{K(E)\nabla\psi\} + \frac{\partial}{\partial E} \left\{ \frac{dE}{dt}\psi \right\} = Q(E, \mathbf{x}, t)$$

diffusion

only for
burst-like
sources

$$K(E) = K_0 E^\delta$$

energy losses:
synchrotron, IC

source term

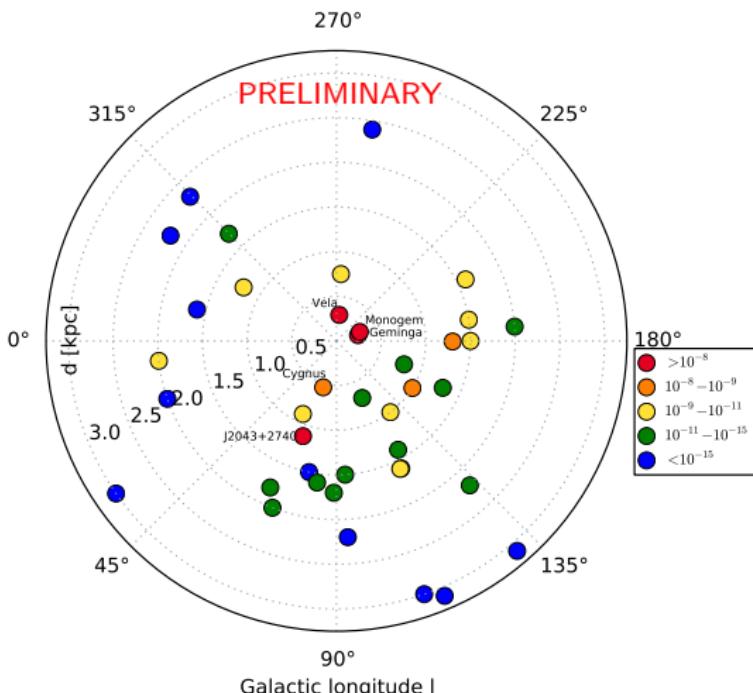
- Propagation parameters constrained by B/C data [Donato 2004]
- Solar modulation negligible for $E > 10$ GeV [Strauss & Potgieter 2014]

Model	δ	$K_0 [\text{kpc}^2/\text{Myr}]$	$L [\text{kpc}]$
MED	0.70	0.0112	4
MAX	0.46	0.0765	15

Local known sources may contribute to anisotropy

Near SNRs from the **Green catalog** [Green2014]

Powerful PSRs from the **ATNF catalog** [Manchester+2005]



Anisotropy from one dominant sources? From a collection of sources?

Anisotropies can be computed starting from the e^\pm number density

- Multipole expansion: if one (few) dominant nearby sources exist, **the dipole term dominates**:

$$\Delta = \frac{I_{\max} - I_{\min}}{I_{\max} + I_{\min}},$$

where $I_{\max(\min)}$ are the max (min) values of CR intensity

⇒ In the diffusion propagation regime: [Ginzburg & Syrovatskii 1964]:

$$\Delta = \frac{3K}{c} \left| \frac{\nabla \psi}{\psi} \right|$$

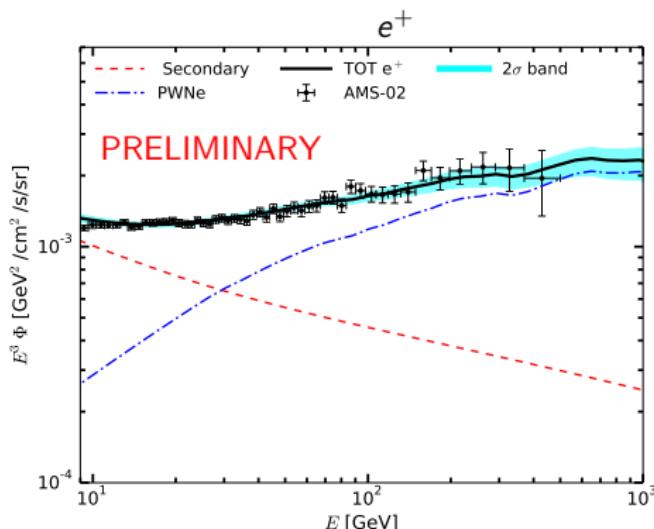
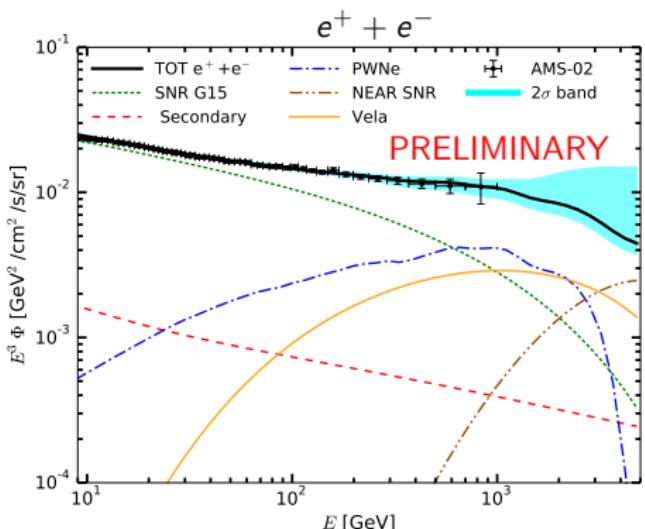
where ψ is the CR number density per unit volume and energy.

- Heliosphere effects for $E < \text{TeV}$
- Integrated anisotropy** computed for $E_{\max} = 5 \text{ TeV}$

Anisotropy predictions are obtained consistently with AMS-02 e^\pm fluxes

Data from [Aguilar+2014]. Free parameters see [DiMauro+2014, DiMauro+2016]:

γ_{SNR}	$Q_{0,\text{SNR}}$	B_{Vela}	B_{near}	γ_{PWN}	η_{PWN}	q_{sec}
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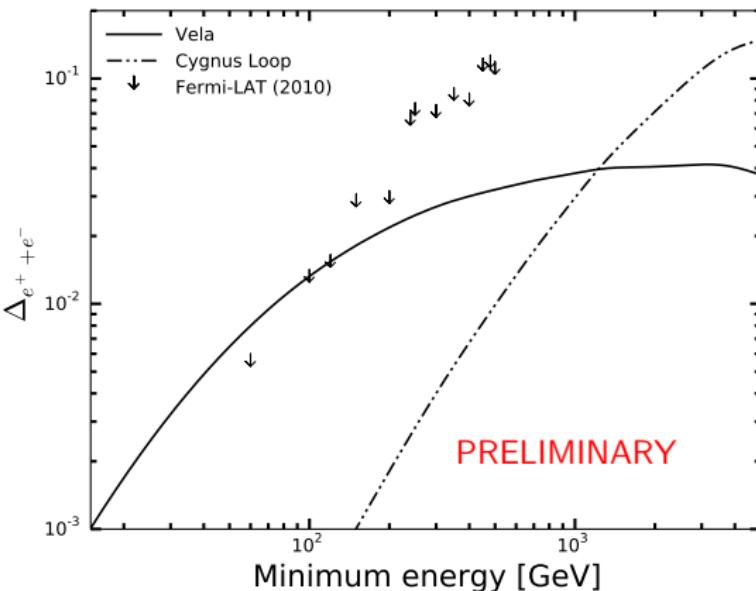
Preliminary results for $R_{\text{cut}} = 0.7 \text{ kpc}$, MAX

Anisotropies from single near SNRs

$R_{\text{cut}} = 0.7 \text{ kpc}$: Vela and Cygnus Loop

$$\Delta(E)_{e^+ + e^-} = \frac{3K(E)}{2c} \frac{d_s}{\lambda(E, E^s)} \frac{\psi_{e^+ + e^-}^s(E)}{\psi_{e^+ + e^-}^{\text{tot}}(E)},$$

- Vela and Cygnus parameters are fixed except $B \propto Q_0$
- Upper limits from [Ackerman+2010]
- $\Delta_{e^+ + e^-} > 10^{-2}$ in TeV range

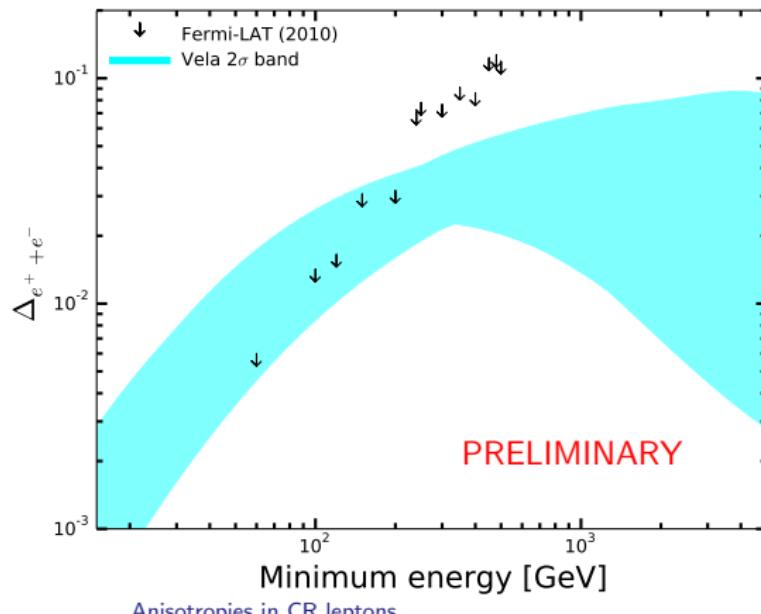


An uncertainty band for Vela SNR parameters

Single source parameters are uncertain:

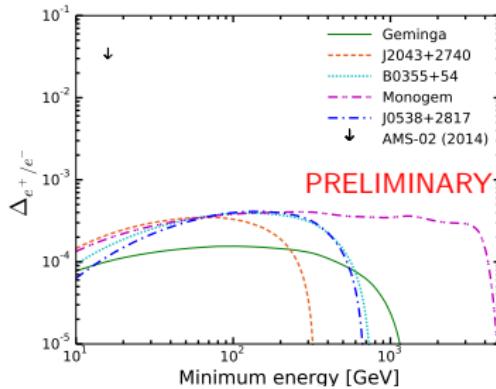
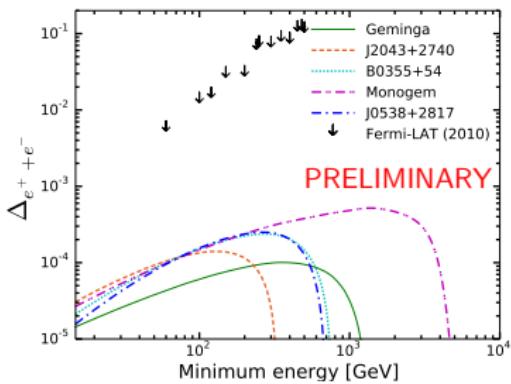
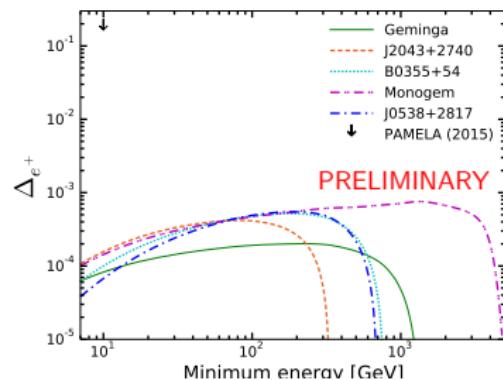
- Magnetic field [1, 100] μG
 - Spectral index γ [2.2, 2.8]
- [Alvarez+2001]
- Distance [0.22, 0.32] kpc
[Dodson+2003, Cha+1999]

Uncertainties in source parameters are reflected in uncertainties for the predicted anisotropy



Anisotropies from single powerful PWNe

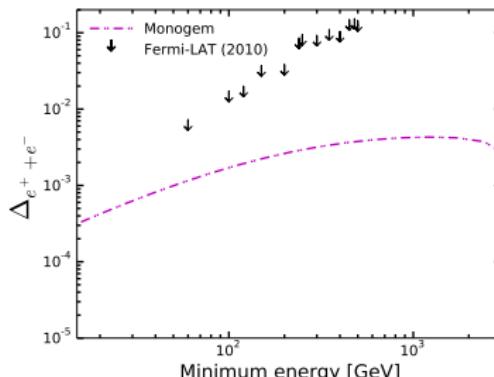
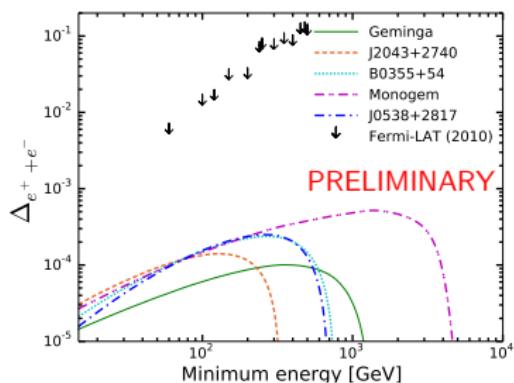
- ① All ATNF pulsars contribution considered
- ② At least **2 order of magnitude lower wrt upper limits** from
[Ackerman+2010, Accardo+2014, Adriani+2015]
- ③ No significant dominating source



Anisotropies from single powerful PWNe

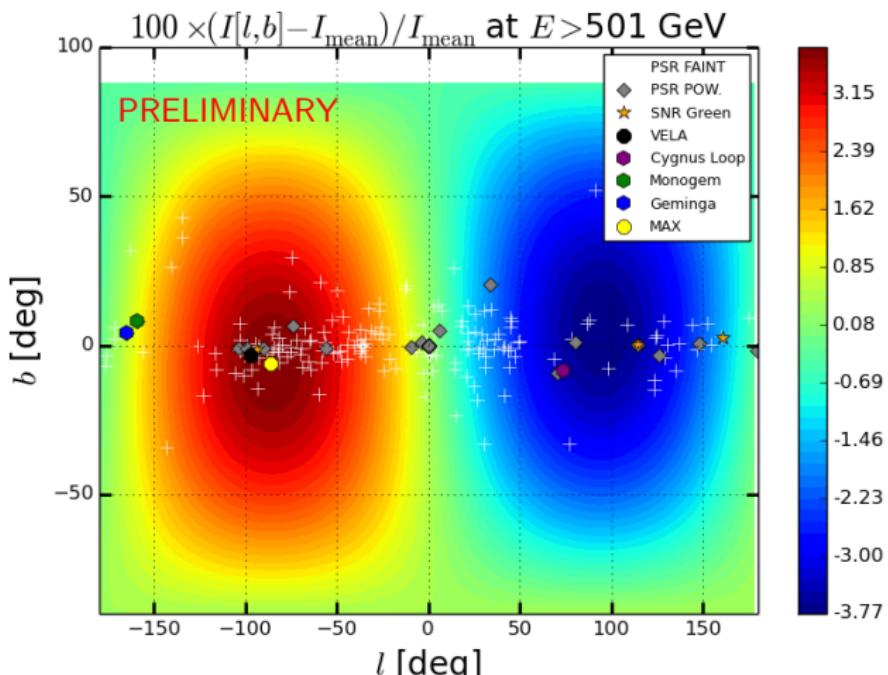
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If only one PWN provides the e^\pm fluxes the anisotropy is higher,
but $\eta \gtrsim 40\%$



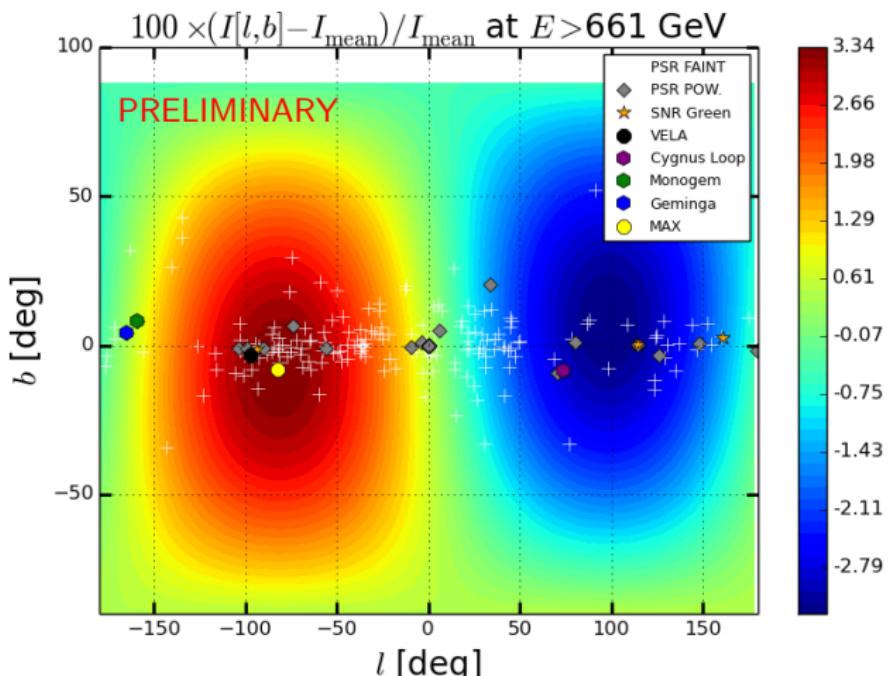
Anisotropy from a collection of sources

$$\Delta = \frac{I_{\max} - I_{\min}}{I_{\max} + I_{\min}}; \quad I(E, \mathbf{n}) = \frac{c}{4\pi} \sum_i \psi_i(E, \mathbf{r}_i, t_i) \left(1 + \frac{3\mathbf{n} \cdot \mathbf{r}_i}{2ct_i}\right) \quad [\text{Shen \& Mao 1971}]$$



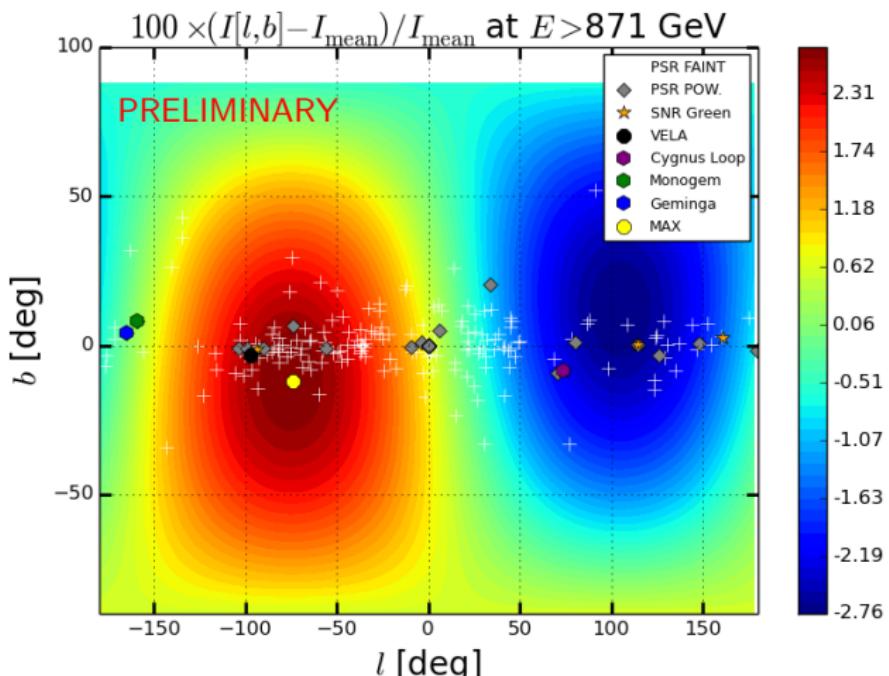
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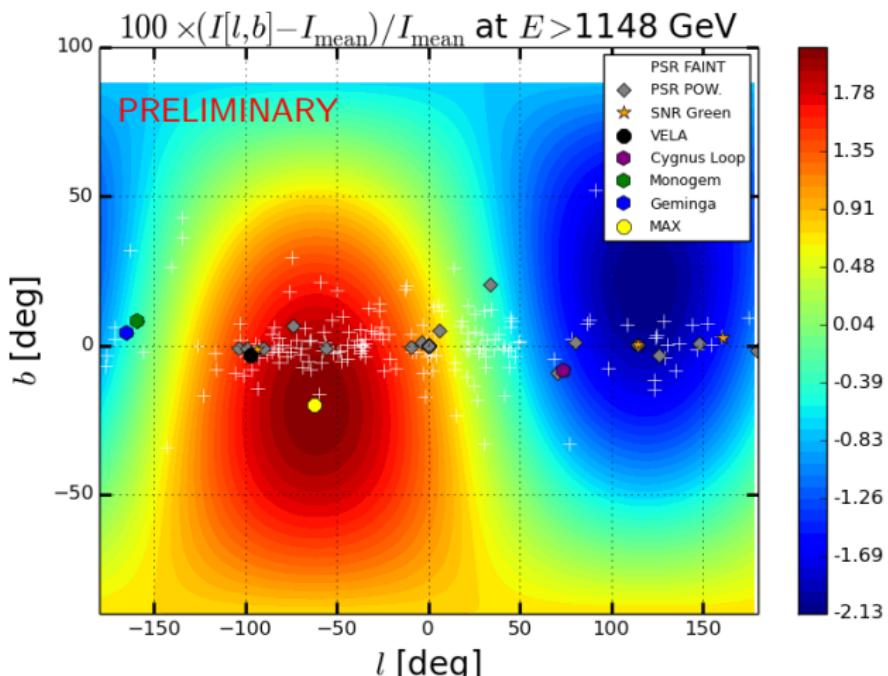
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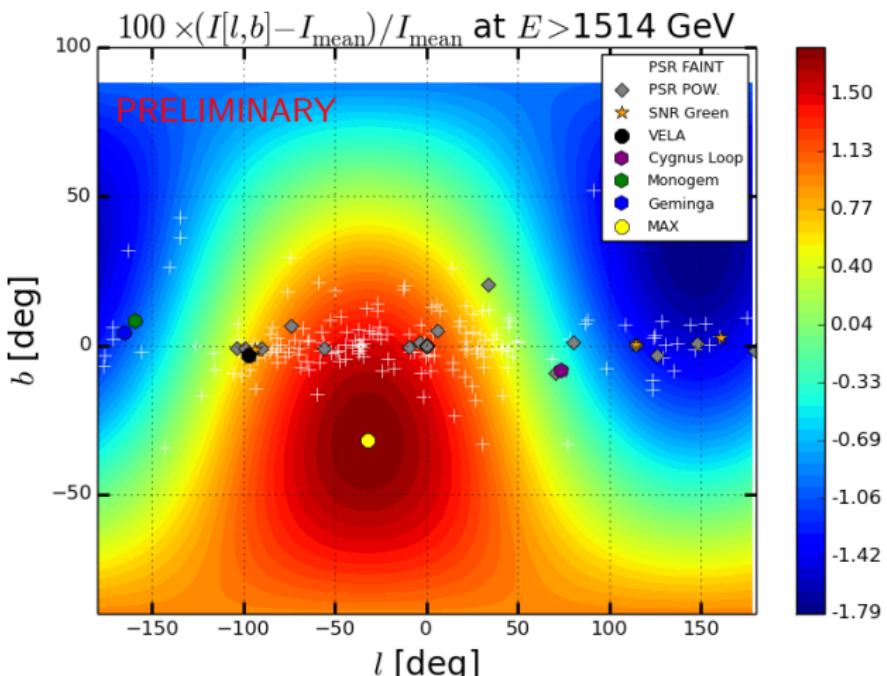
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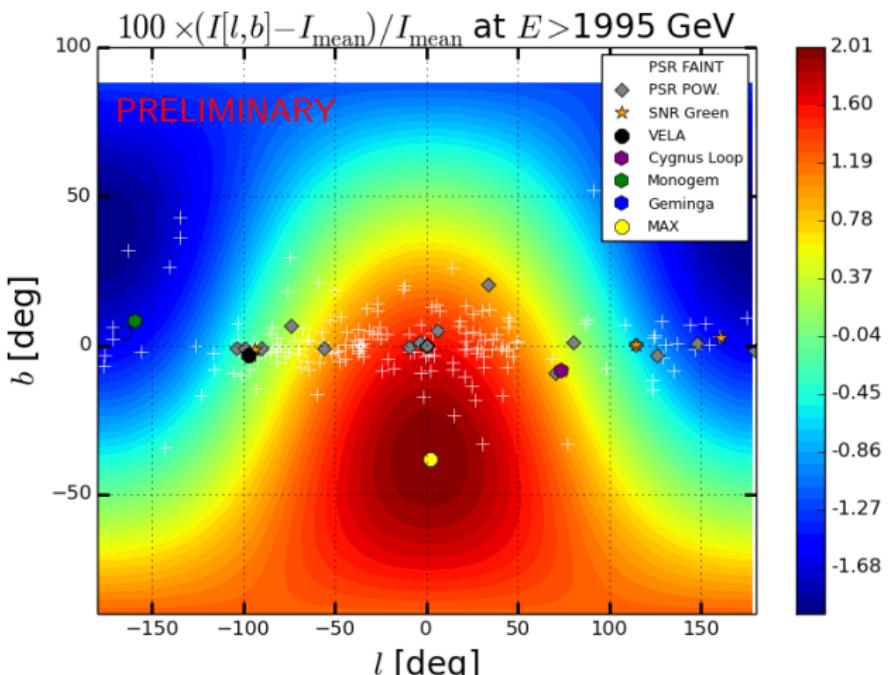
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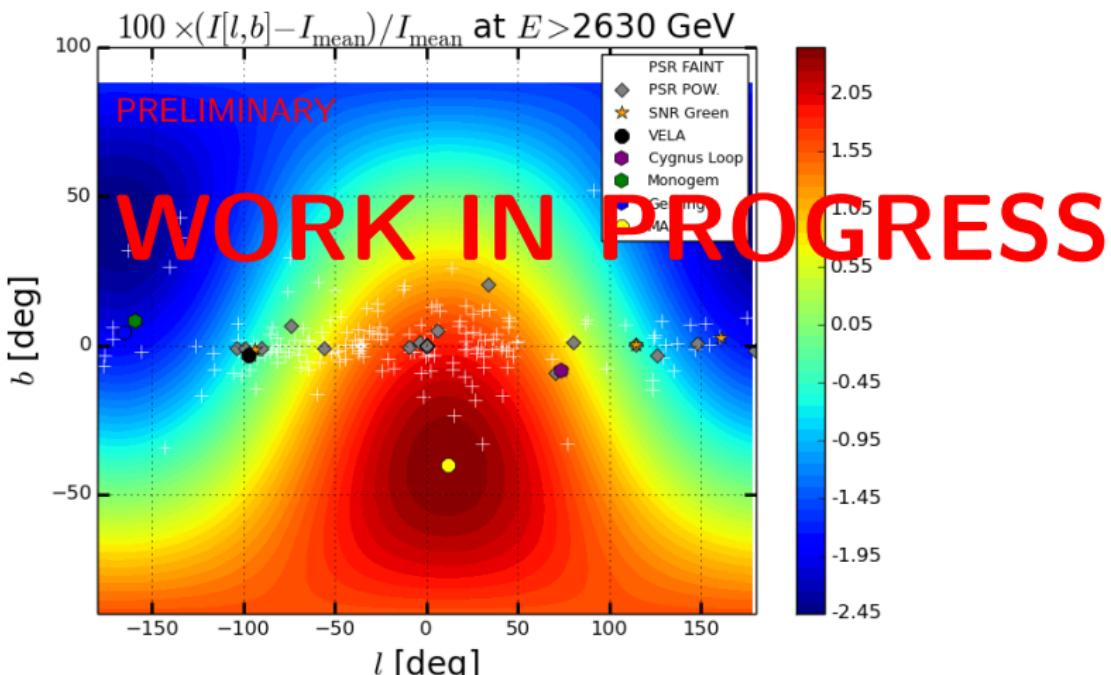
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Conclusions

Start: GeV-TeV e^\pm are messengers of the local Galaxy

Goal: To study the anisotropy in GeV-TeV e^\pm from near SNRs and PWNe

Done We compute anisotropies from single near sources consistently with AMS-02 e^\pm fluxes.

Result Vela and Cygnus SNR can give $\Delta_{e^+ + e^-} > 10^{-2}$ in TeV range

Result Source parameters uncertainties affect the anisotropy prediction

Done We compute the CR $e^+ + e^-$ intensity as a function of direction.

Result I_{\max} is dominated by Vela SNR

Result Interplay with Cygnus at TeV energies

Anisotropies can contribute to the CR e^\pm flux interpretation.

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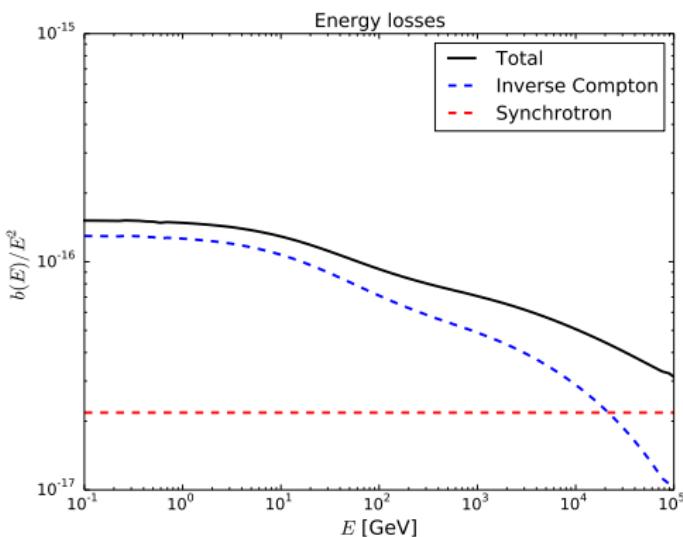
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Backup

Energy losses

Above a few GeV Synchrotron + Inverse Compton dominate over ionization, adiabatic and bremsstrahlung. [Delahaye+2008]

- Full relativistic treatment from [Delahaye+2010]
- IC scattering off the interstellar radiation field (ISR)
- ISR from [Delahaye+2010] M2
- Synchrotron emission on galactic magnetic field $B = 3.6\mu\text{G}$ [Sun+2007]



Heliosphere effects on lepton anisotropy

Heliosphere or local galaxy effects on anisotropy are beyond of the scope of this work.

Effects for $E < \text{TeV}$ may be important, but

- ① Same effect on proton and leptons
 - ② Solar time variations [Busching+2008]
 - ③ Energy dependency connected to flux and cutoff of sources
 - ④ Propagation in HMF is dominated by diffusion [Strauss&Potgieter2014]
-
- Anisotropic diffusion: small scale features, hotspots or streams
[Drury+2008; Kister+2012]
 - DAMPE-CALET: predictions for $> \text{TeV}$ energies

Fit to AMS-02 fluxes

Fit parameters results consistent with [DiMauro+2014, DiMauro+2016]

Table: Fit results for $R_{\text{cut}} = 0.7 \text{ kpc}$, MAX, $\gamma_{\text{Vela}} = 2.5$

γ_{SNR}	$Q_{0,\text{SNR}}$	B_{Vela}	B_{near}	γ_{PWN}	η_{PWN}	q_{sec}
2.25	$2.25 \cdot 10^{49} \text{ erg}/100\text{yr}$	$9 \mu\text{G}$	0.35	1.9	0.07	1.74

- SNR spectral index $\gamma \sim 2$: Fermi mechanism + mean radio index from Green catalog
- PWN spectral index: from observed PWN radio index of synch emission: $\gamma < 2$