

The Probes and Sources of Cosmic Reionization



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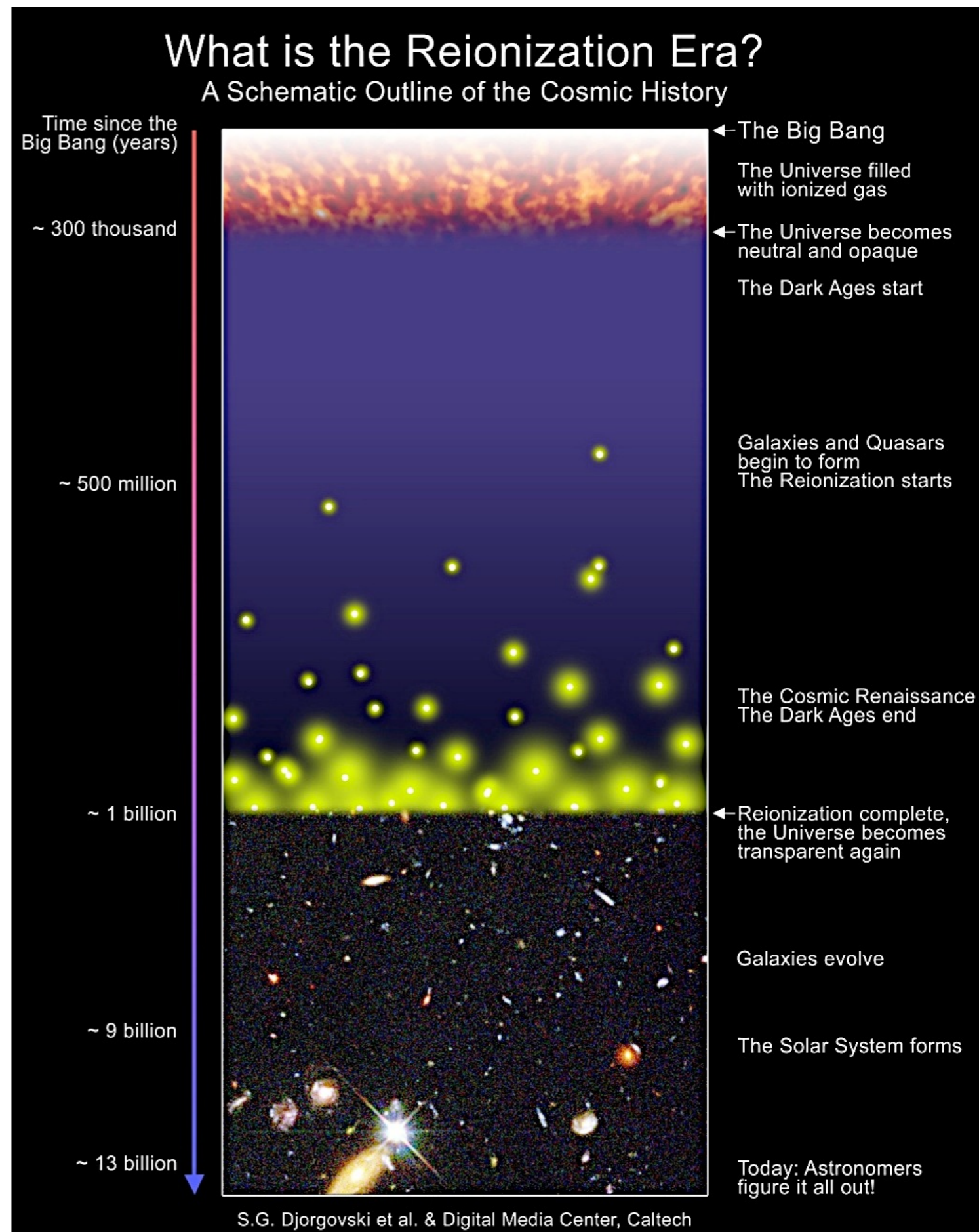
TALK OUTLINE

1. Dark Ages and Reionization
2. Observations: QSO Absorption Lines and CMB
3. Helium Reionization
4. UV Background Models
5. Open Problems

The epoch of reionization (EoR) is the last global phase transition of the Universe. It has an astrophysical origin.

The cosmic ionizing background originates from the integrated emission of all ionizing sources in the Universe. It determines the thermal and ionization state of the IGM, the repository of most of the baryons in the Universe at high redshift.

It is a crucial yet most uncertain input parameter for cosmological simulations of LSS and galaxy formation, for interpreting QSO absorption-line data and derive information on the distribution of primordial gas and of the nucleosynthetic products of star formation - CIII, CIV, SiIII, SiIV, OVI, etc.



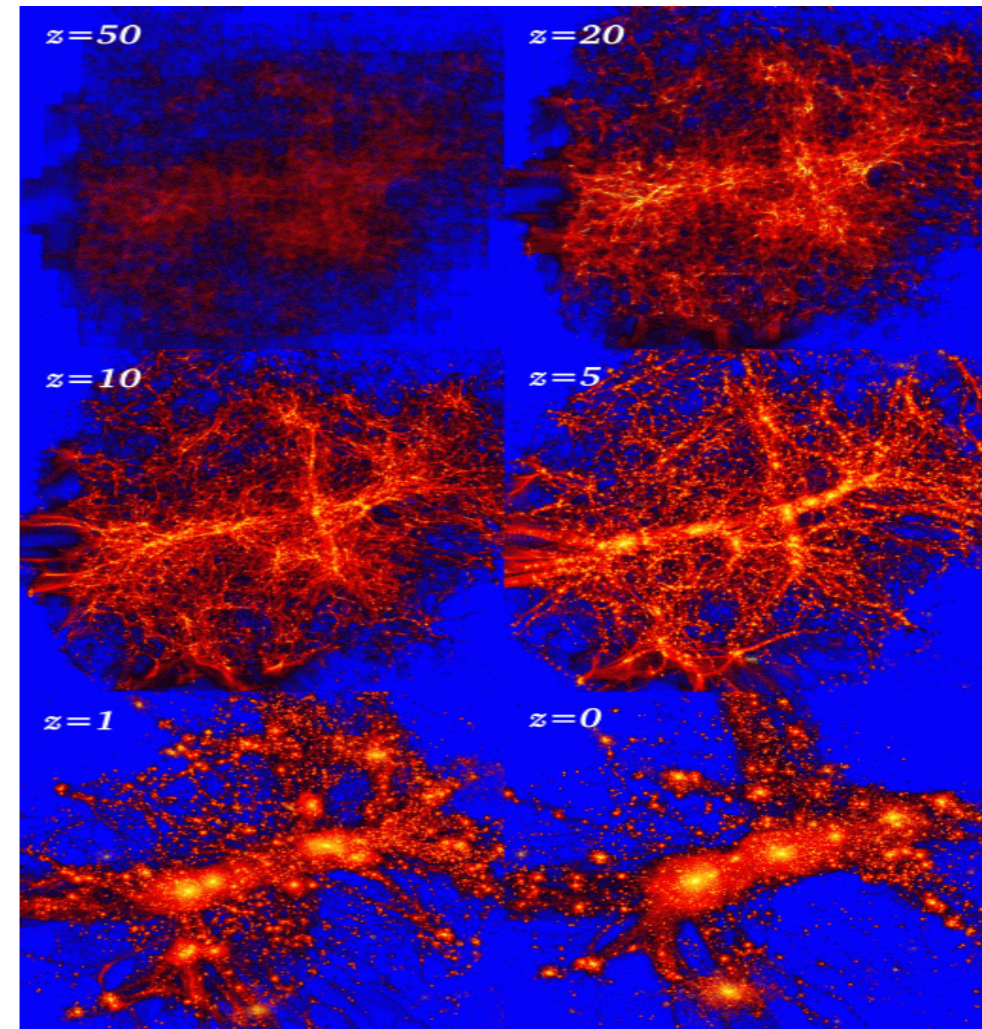
The "Dark Ages"

The fate of DM:

CDM: Small scales collapse first
BOTTOM-UP HIERARCHY

DM-HALOS COLLAPSE AS:

$$M = 10^{15} / (1+z)^6 M_{\odot}$$



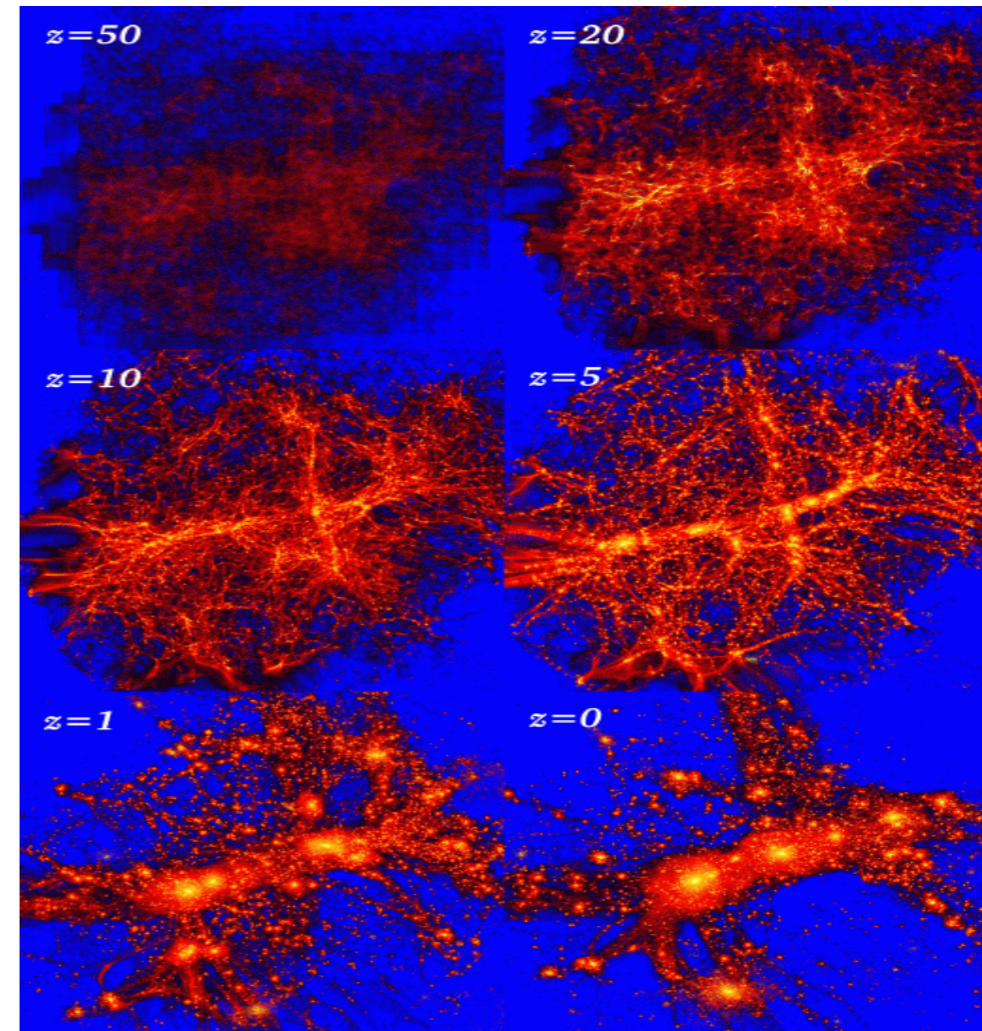
The "Dark Ages"

The fate of DM:

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DM-HALOS COLLAPSE AS:

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The fate of baryons:

At $z \approx 130$ (not at z_{dec} !) baryons are free to fall into DM halos (collapsing since $z=3600$)

COOLING TIME \gg HUBBLE TIME \rightarrow ADIABATIC COLLAPSE

Baryons virialize as DM particles

COOLING TIME \ll HUBBLE TIME \rightarrow ISOTHERMAL COLLAPSE

Baryons fall into DM potential wells \rightarrow Self-gravitating baryonic objects (POPIII) \rightarrow END OF THE DARK AGES ($z \approx 20-30$)

Reionization in a Nutshell

@ milliFLOP speed (Madau, FH & Rees 1999)

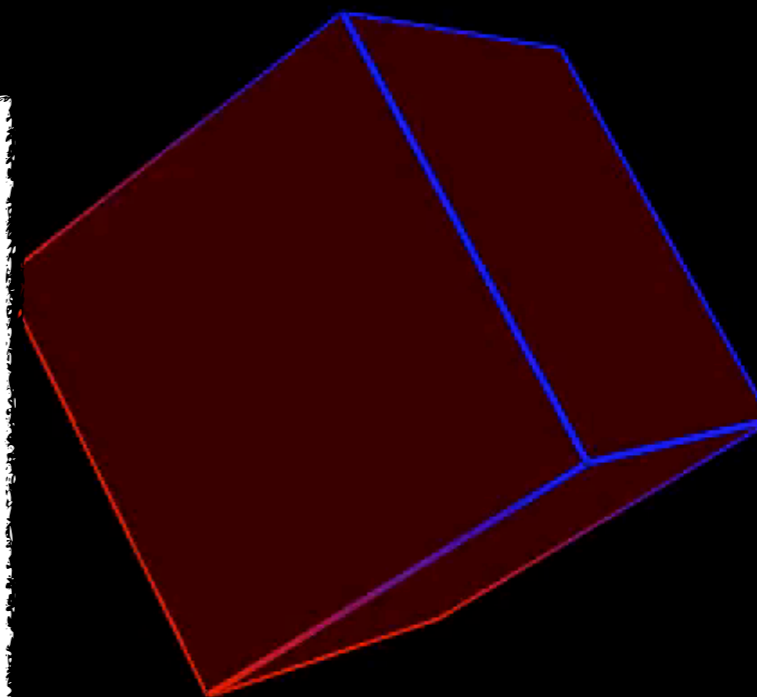
Q is the Universe fraction of ionized hydrogen/helium by volume (known as the “porosity parameter”)

$$Q(t) = \int_0^t dt' \frac{\dot{n}_\gamma(t')}{\langle n_H(t') \rangle} - \int_0^t dt' \frac{Q(t')}{t_{\text{rec}}(t')}$$

source

sink

(No redshifting, photons absorbed locally)



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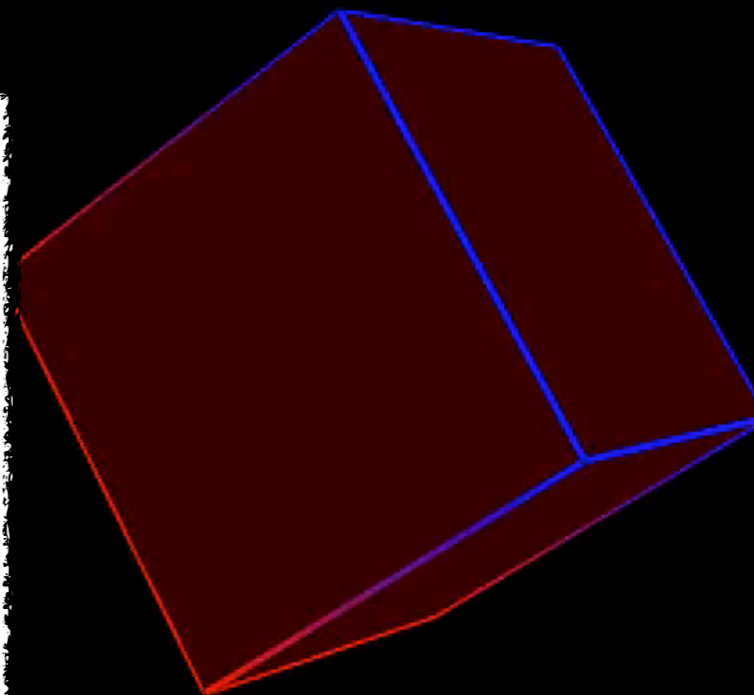
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Reionization in a Nutshell

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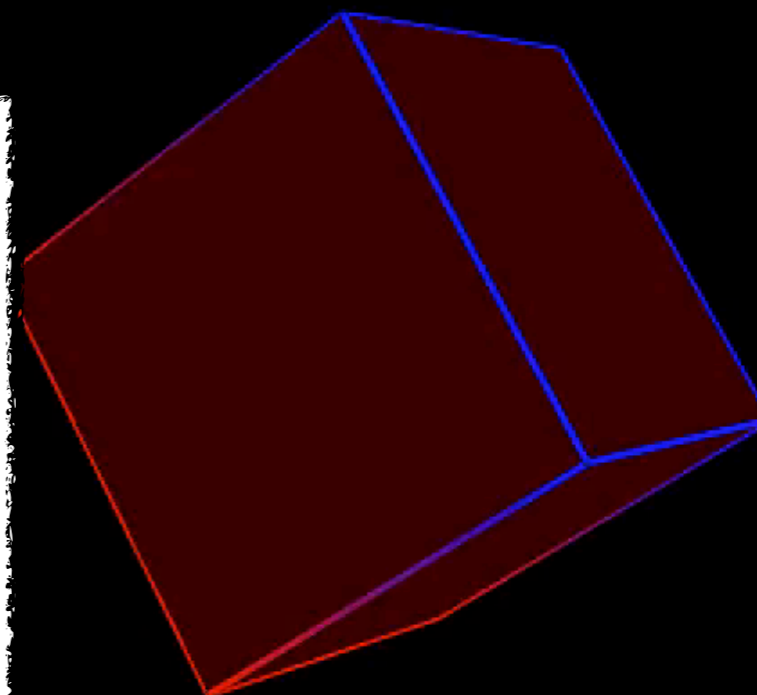
source

sink

(No redshifting, photons absorbed locally)

$$\frac{dQ}{dt} = \frac{\dot{n}_\gamma}{\langle n_H \rangle} - \frac{Q}{t_{\text{rec}}}$$

simple diff. eq. statistically describes transition from a neutral Universe to a fully ionized one!



Reionization in a Nutshell

$$t_{\text{rec}} \ll t \longrightarrow Q \approx \frac{\dot{n}_{\gamma}}{\langle n_H \rangle} t_{\text{rec}}$$

The Universe is completely reionized when $Q=1$, i.e., when

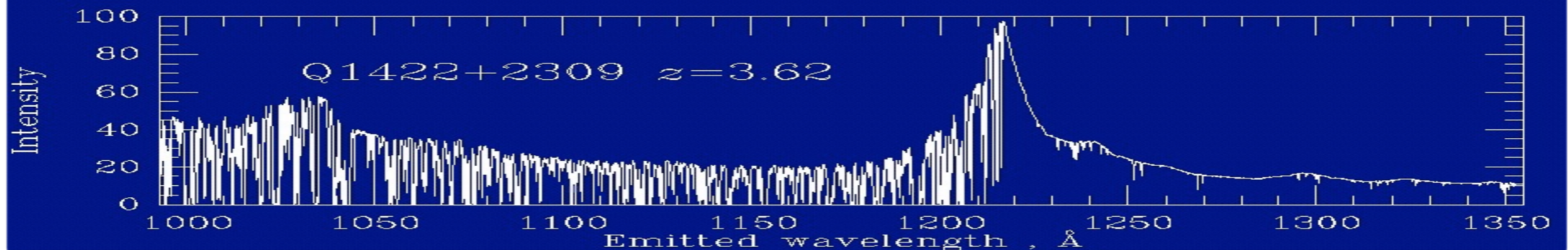
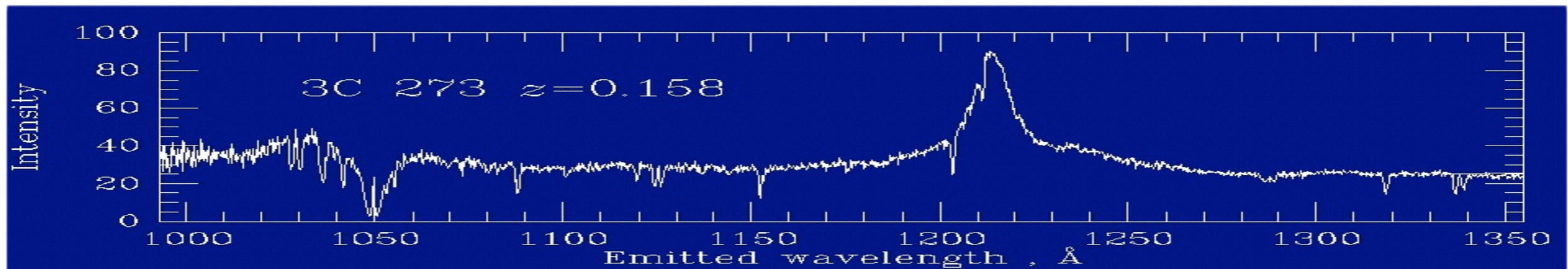
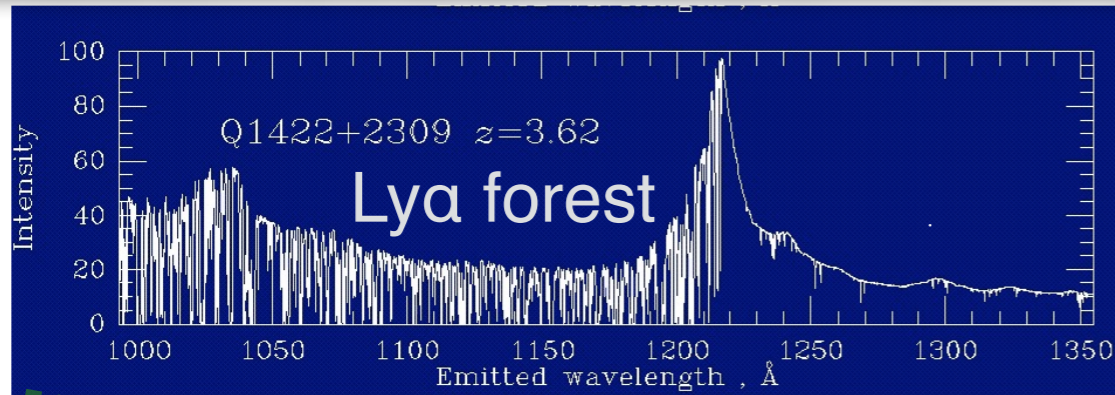
$$\dot{n}_{\gamma} t_{\text{rec}} = \langle n_H \rangle$$

One ionizing photon per ion per recombination time.

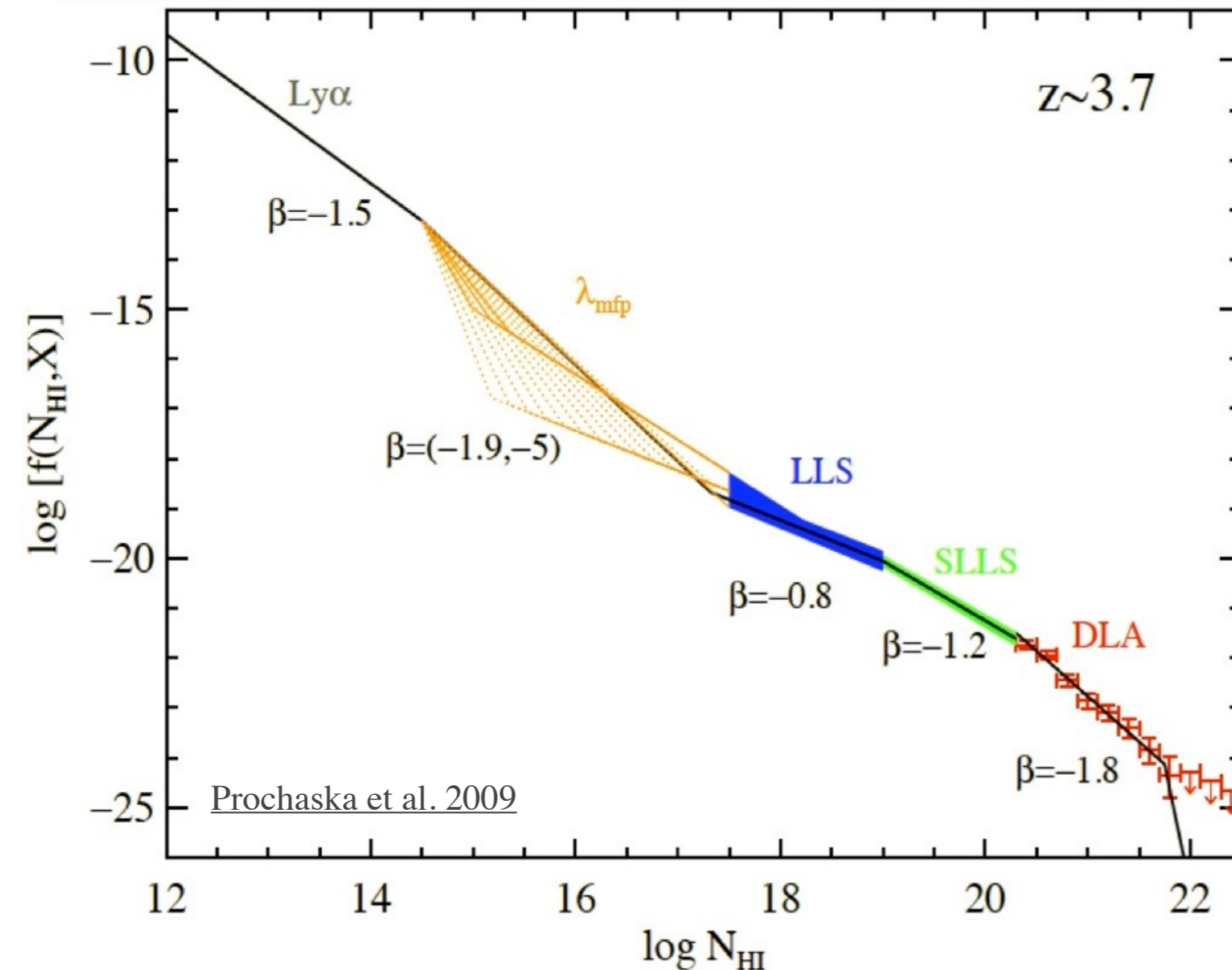
Probes of Reionization

- 1) Gunn-Peterson depth statistics from QSOs
- 2) Electron-scattering optical depth from CMB
- 3) LAE redshift distribution
- 4) 21-cm line tomography (LOFAR, SKA)

Quasar Absorbers along the LOS



Quasar Absorbers along the LOS

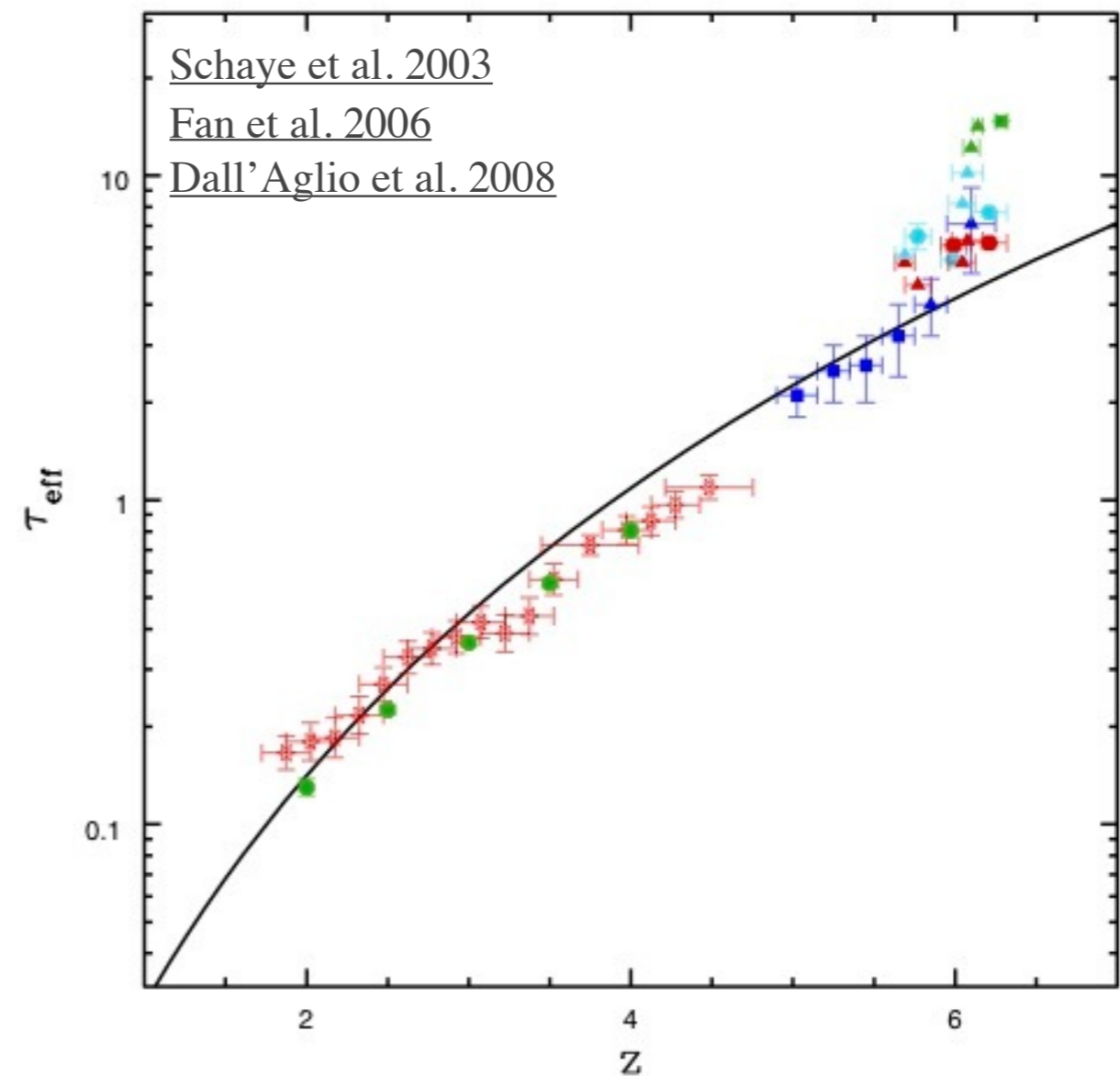
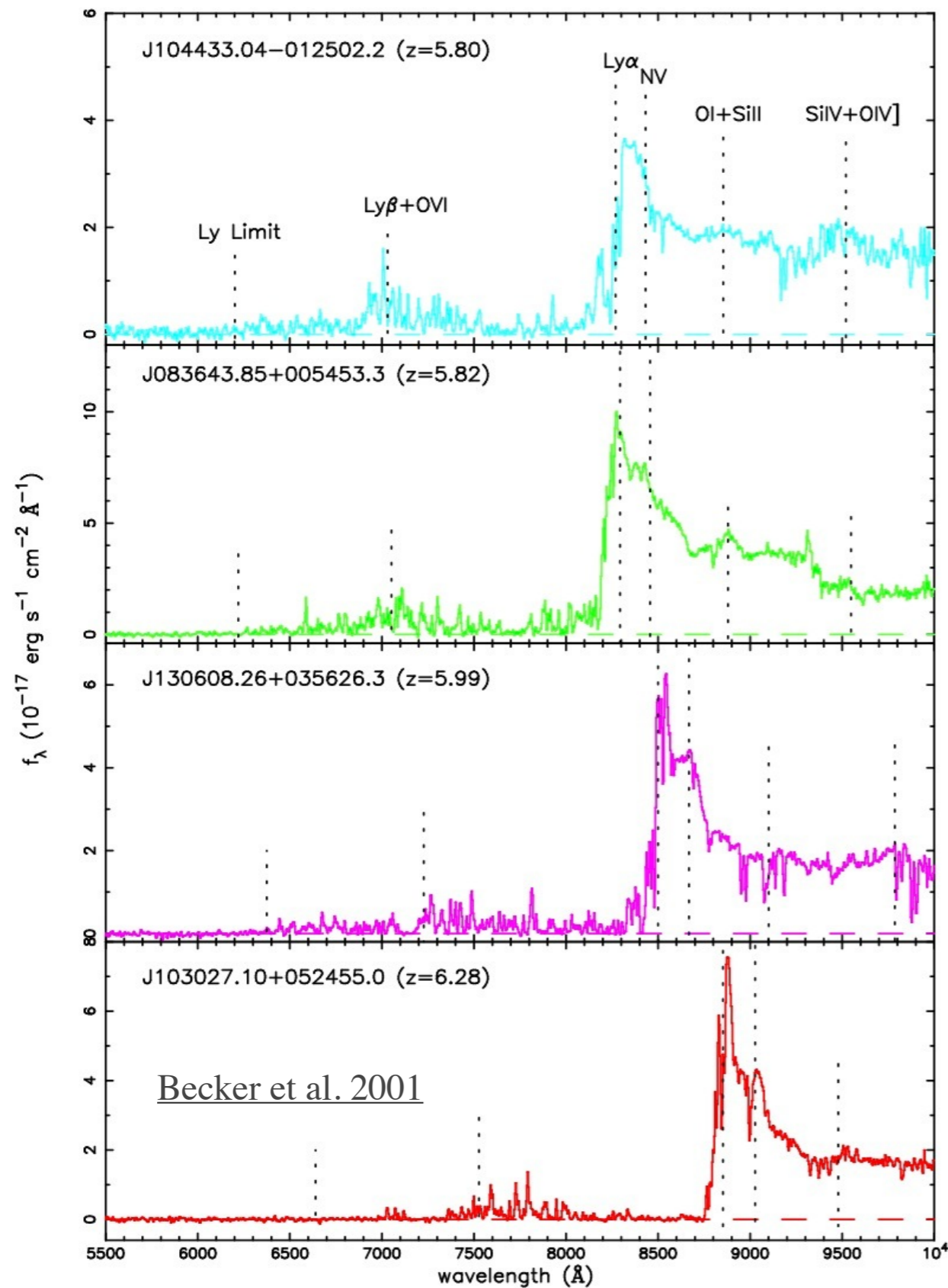


$f(N_{\text{HI}}, z)$ is defined by the probability dP that a los intersects an absorber with column N_{HI} , $N_{\text{HI}} + dN_{\text{HI}}$ at redshift z , $z + dz$,

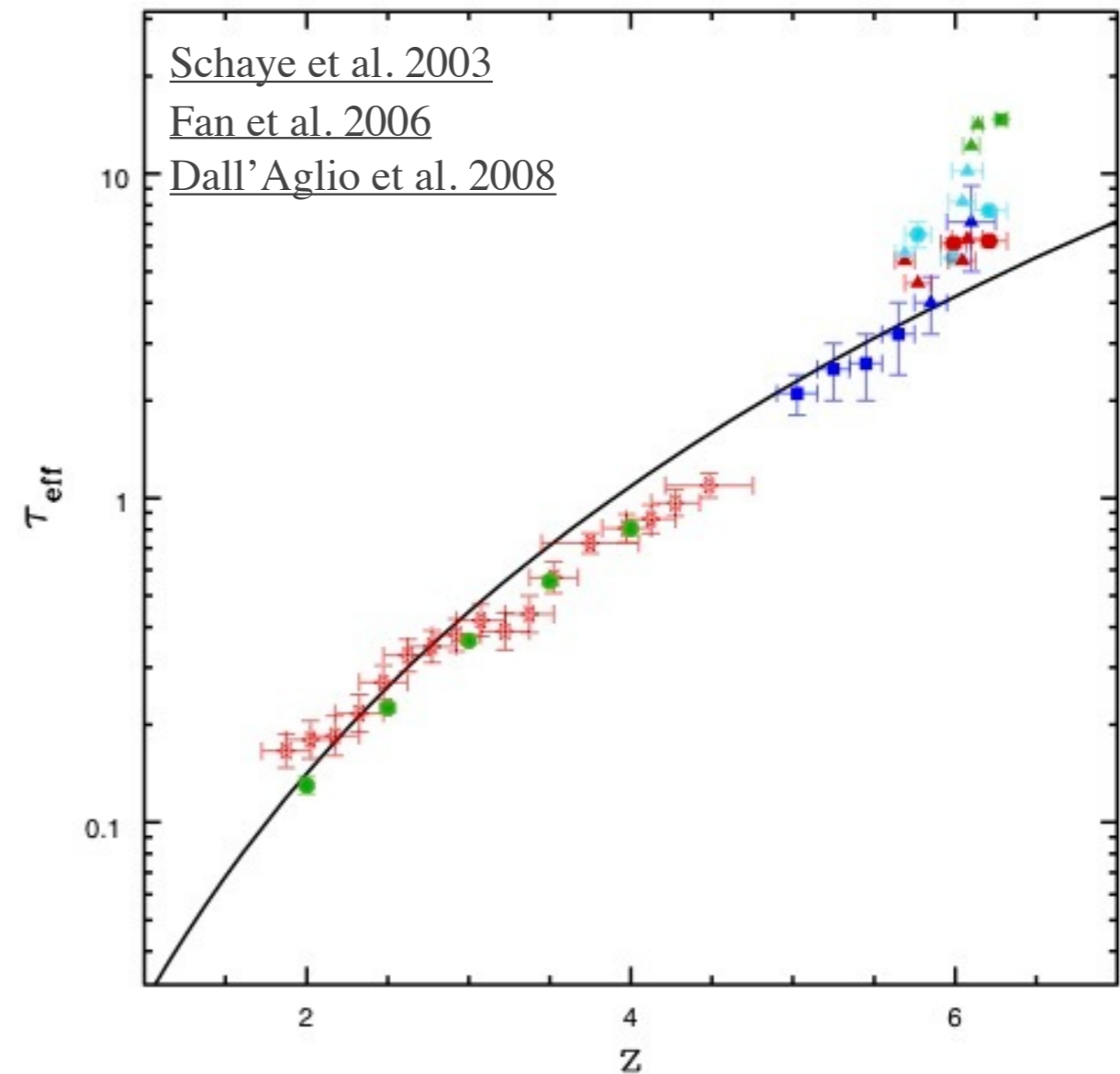
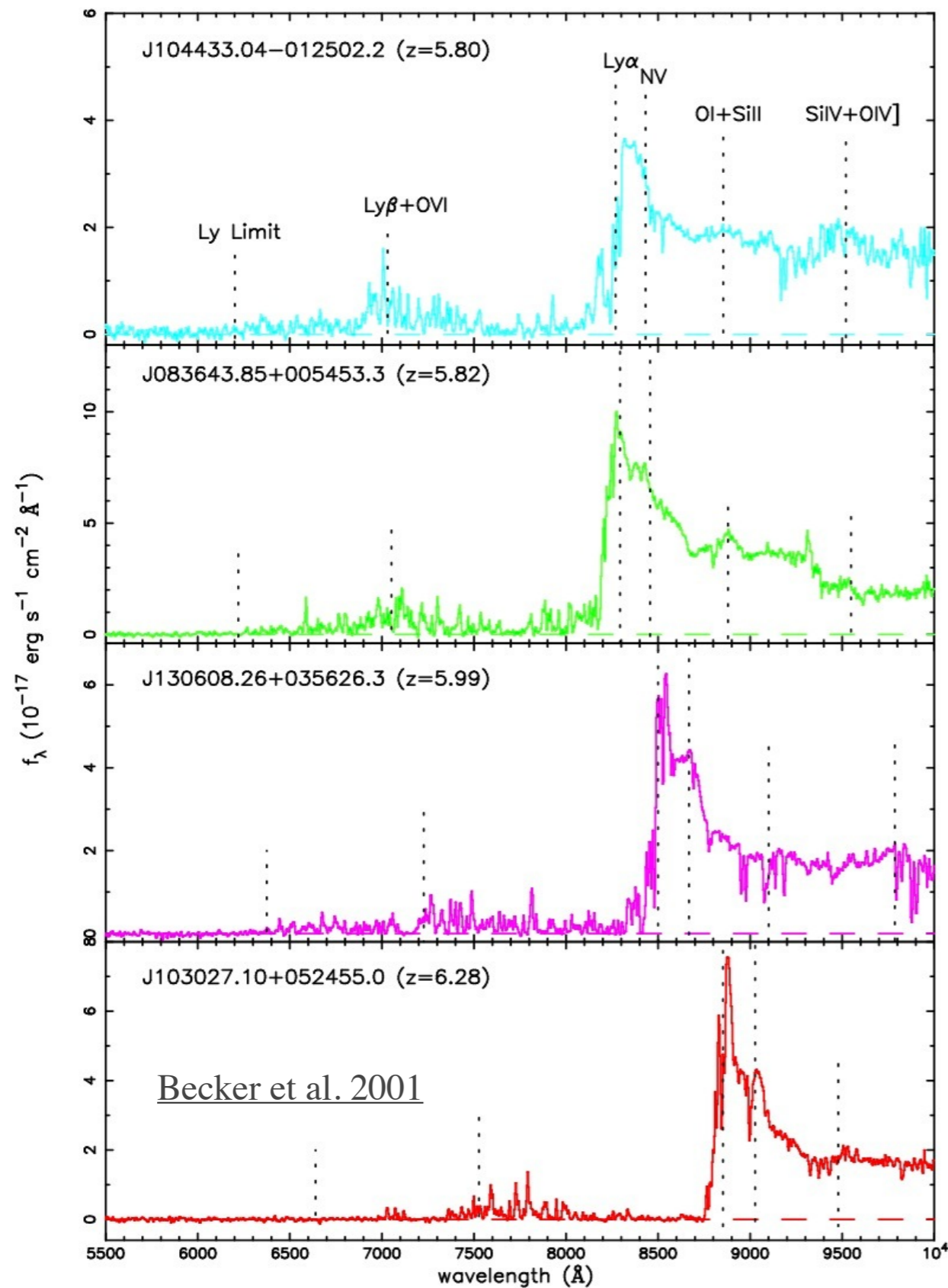
$$dP = f(N_{\text{HI}}, z) dN_{\text{HI}} dz$$

The number of absorbers increases with redshift.
The HI column distribution is not a single power-law.

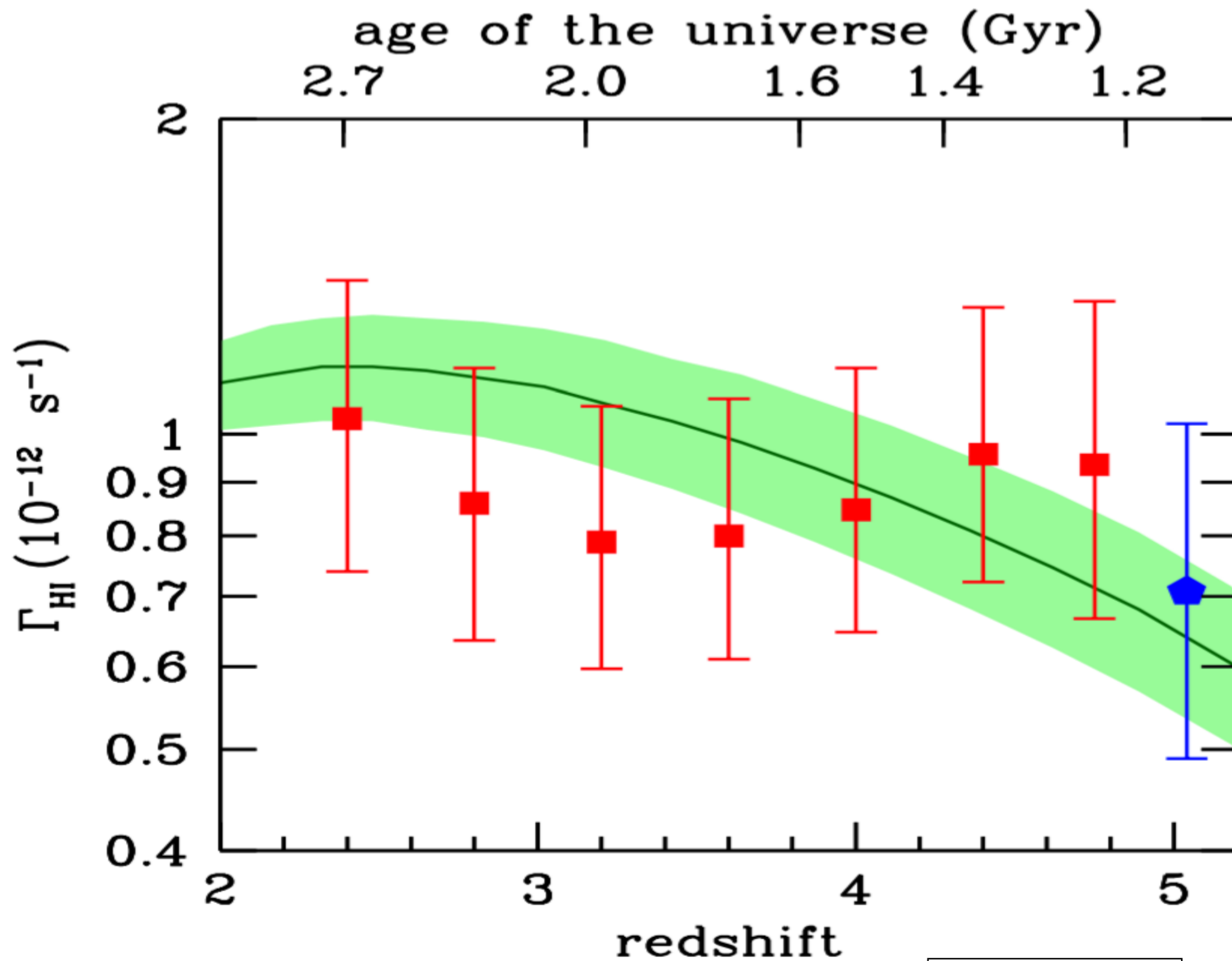
Quasar Absorbers along the LOS



Quasar Absorbers along the LOS



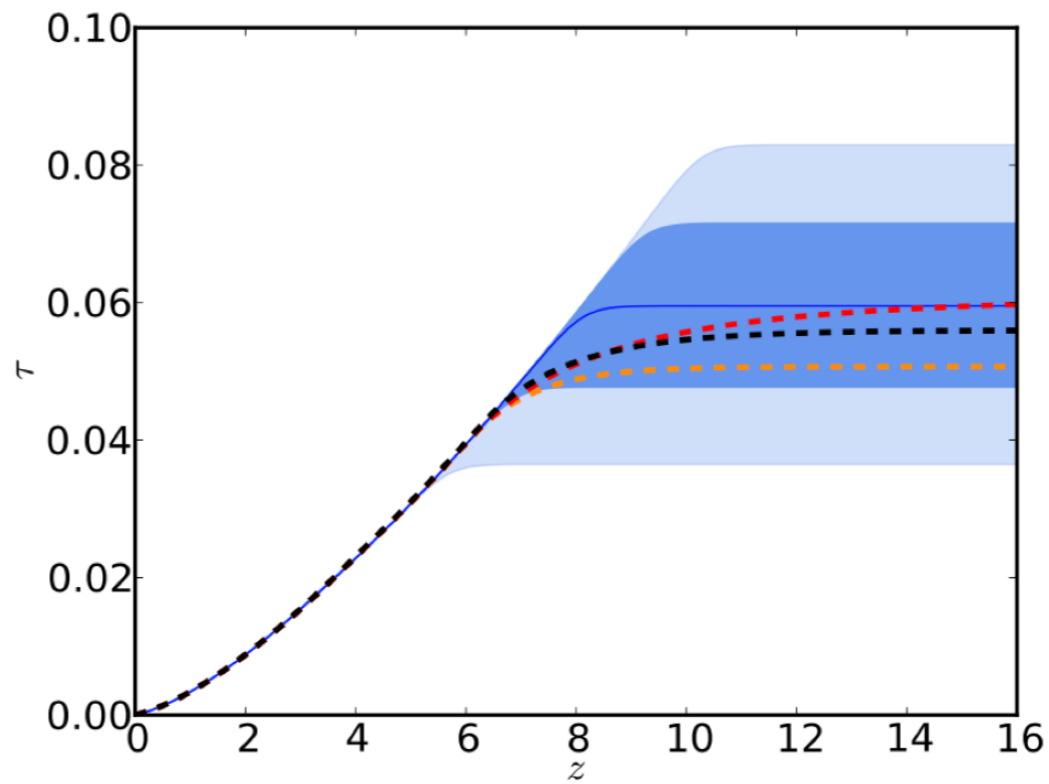
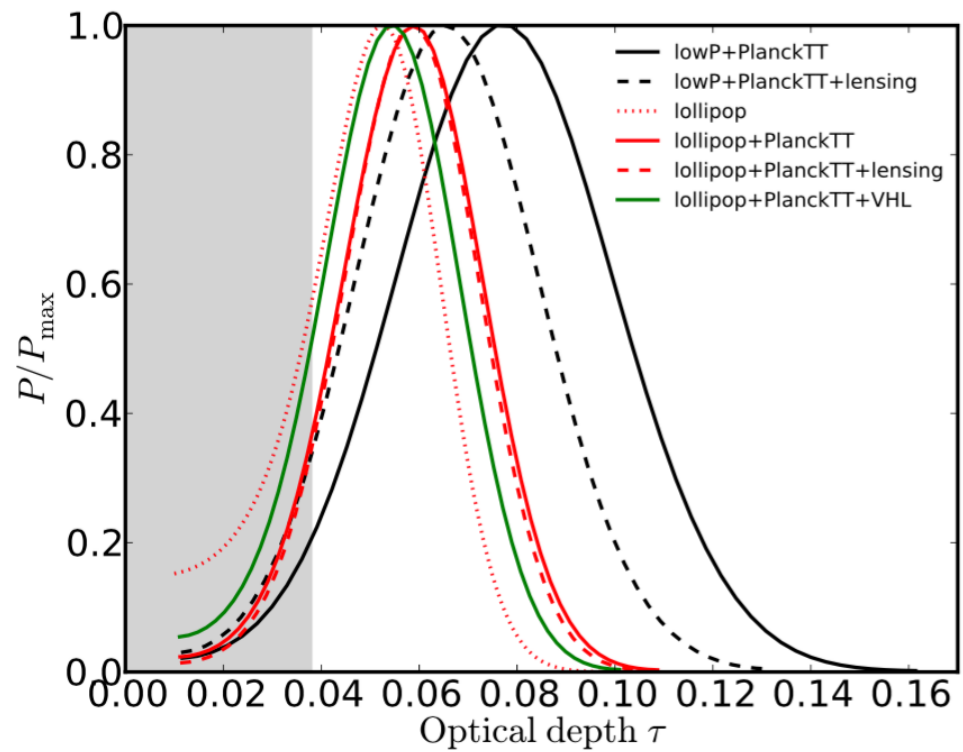
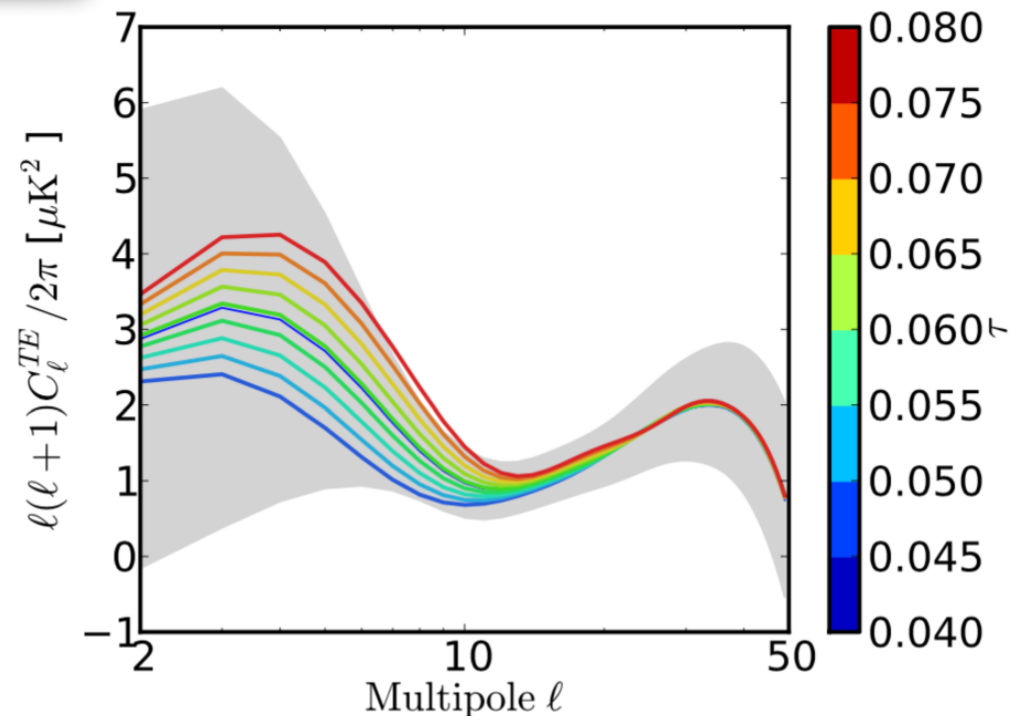
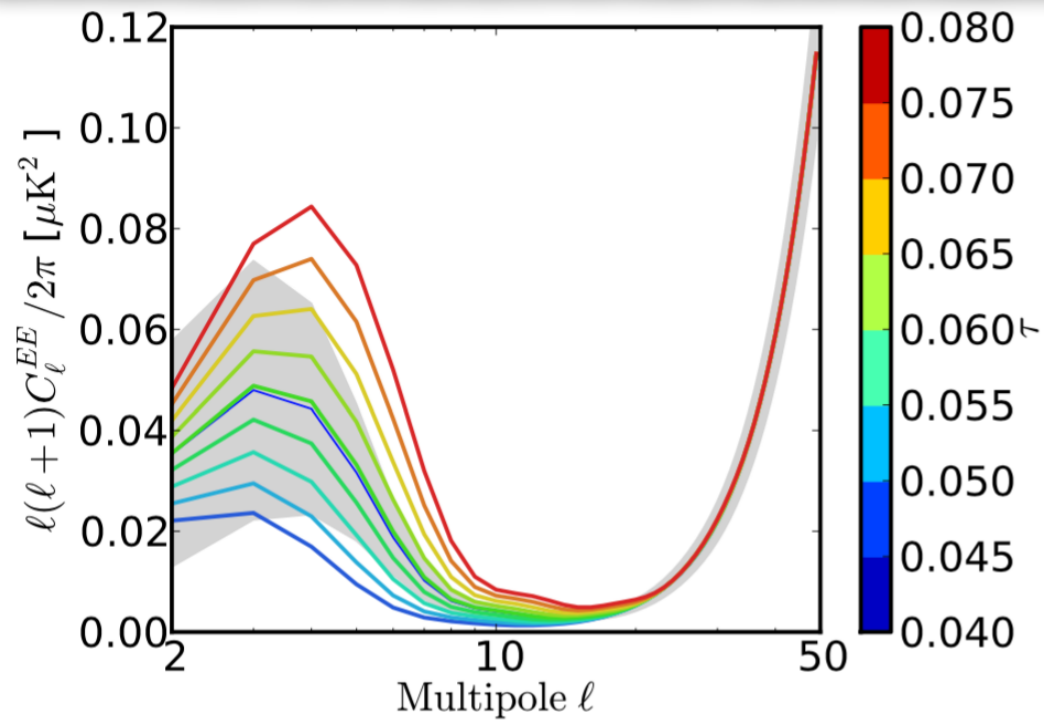
Hydrogen is highly ionized
at $z < 5.7$



Becker and Bolton 2013

CMB Polarization

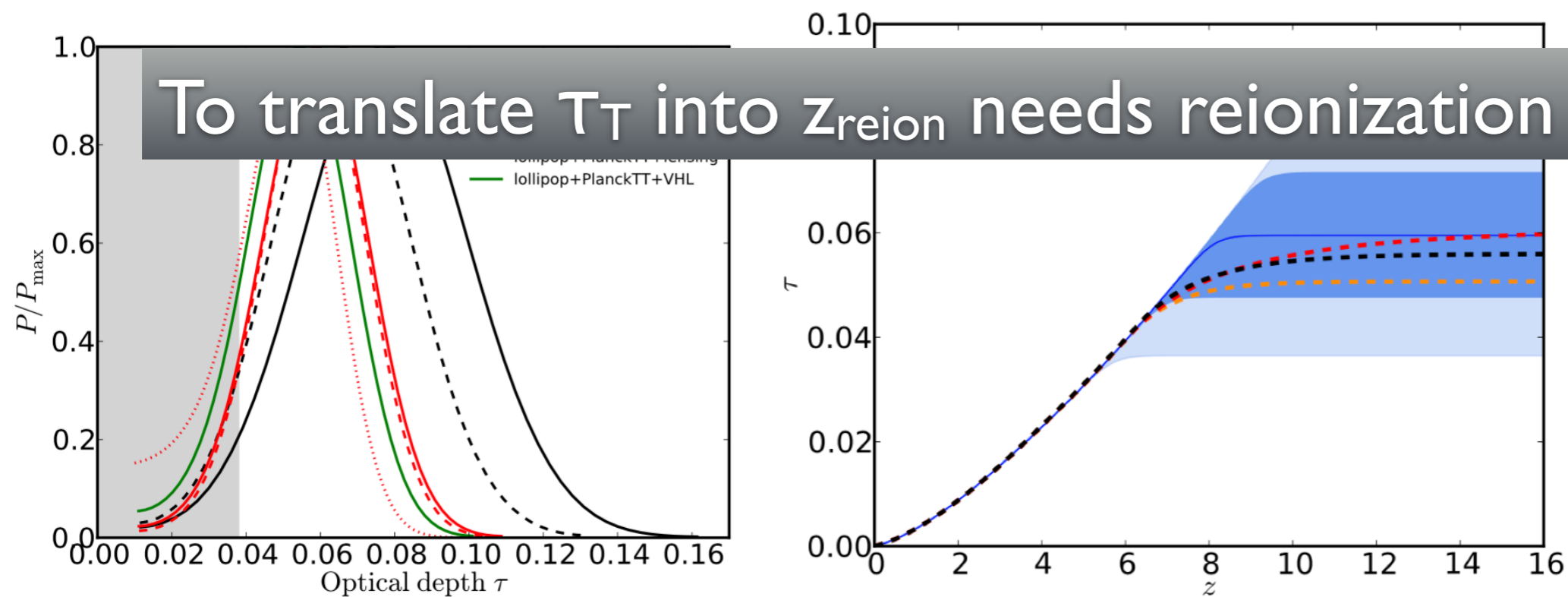
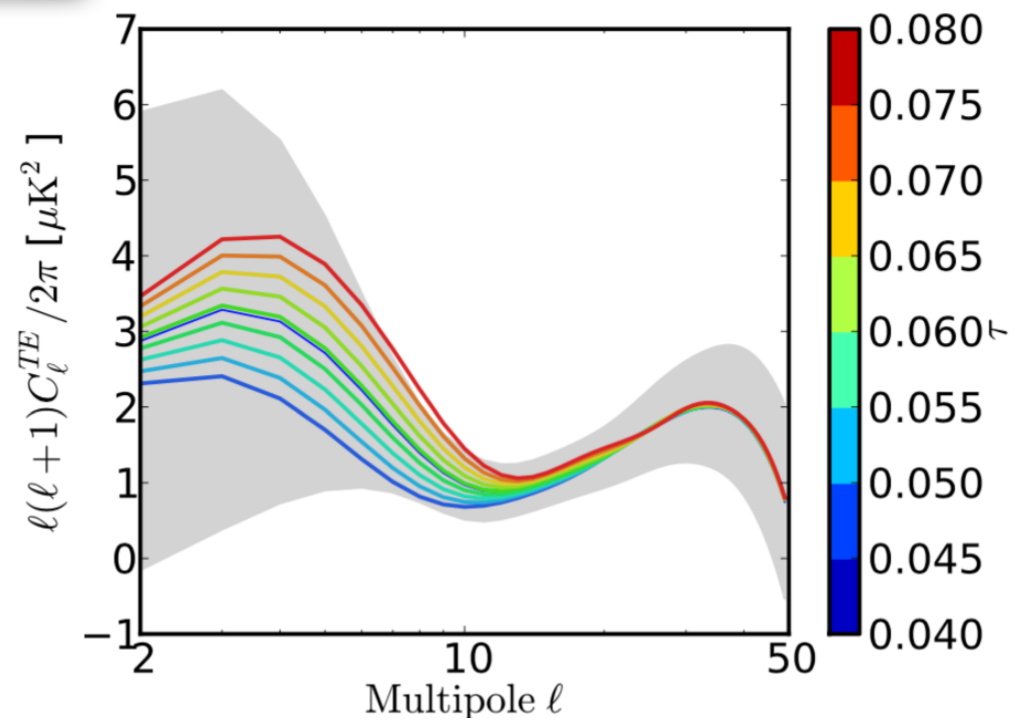
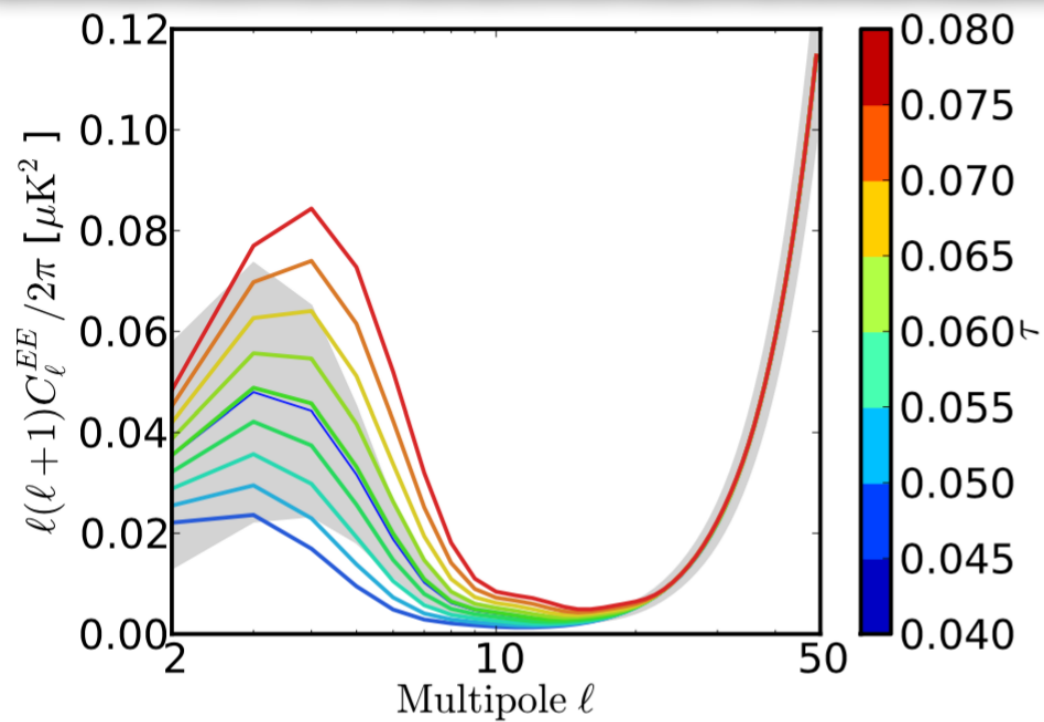
Planck Collaboration 2016



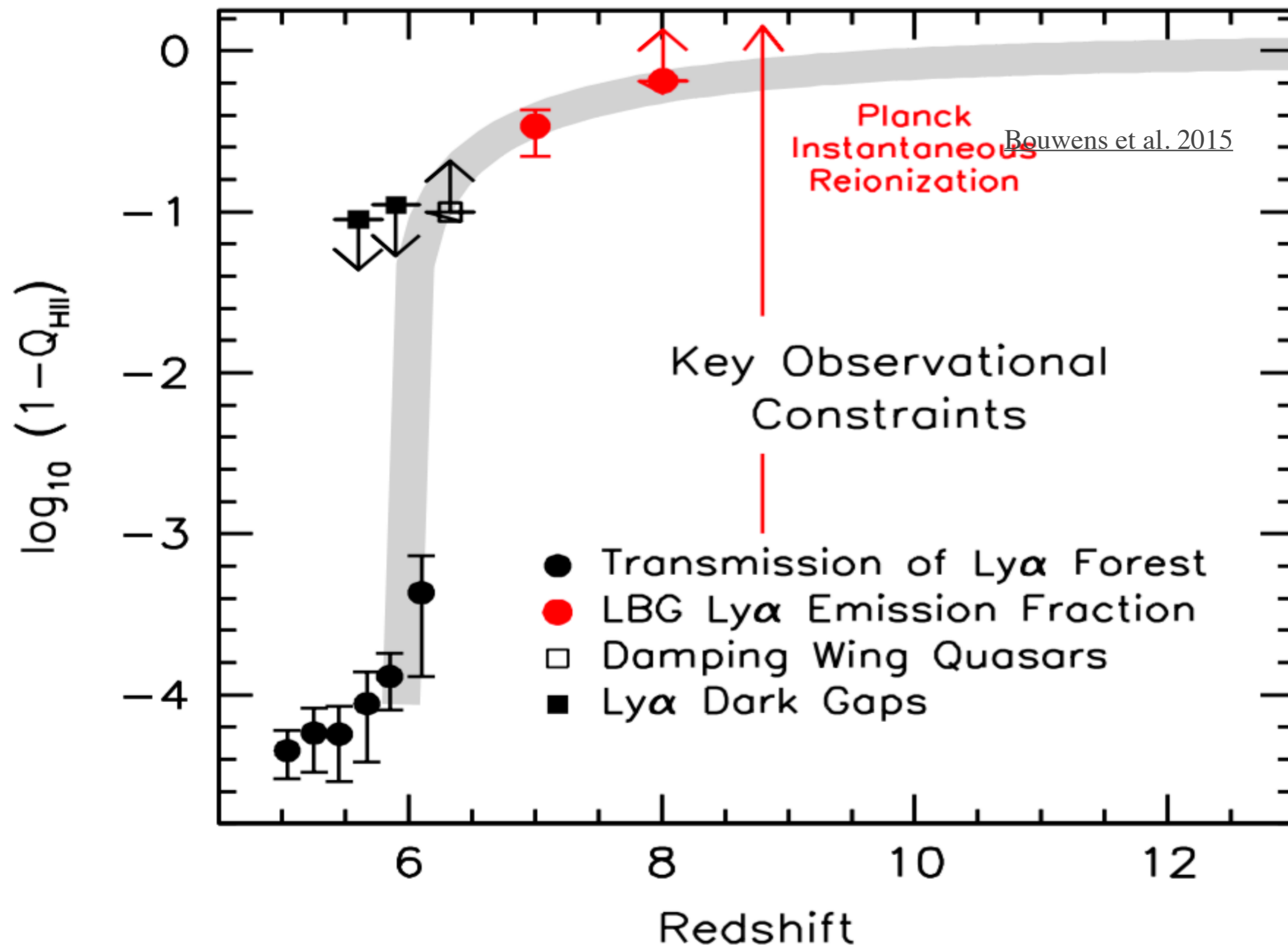
$$\tau_T = \int_0^z n_e(z) \sigma_T |cdt/dz| dz = \mathbf{0.058 \pm 0.012}$$

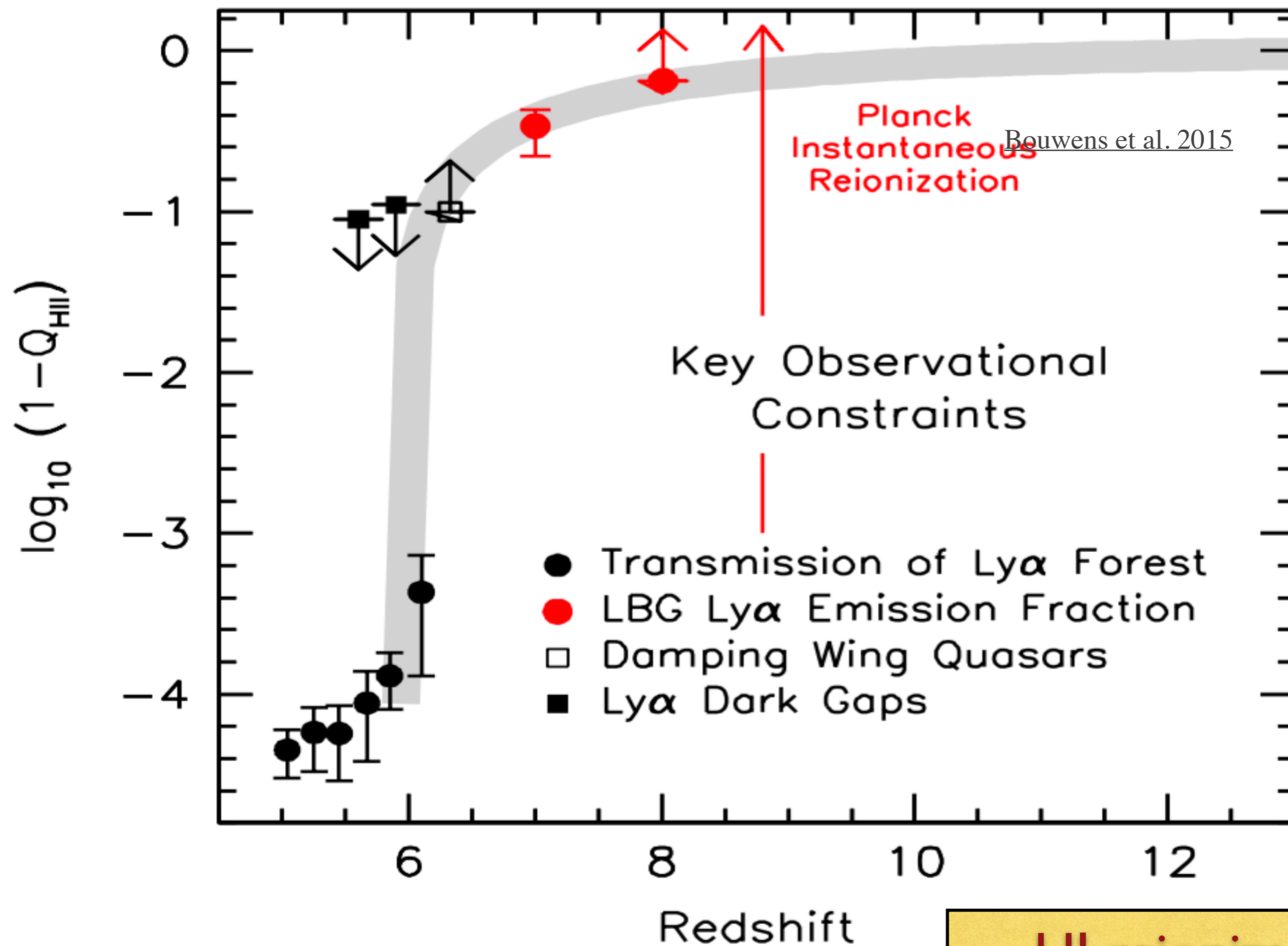
CMB Polarization

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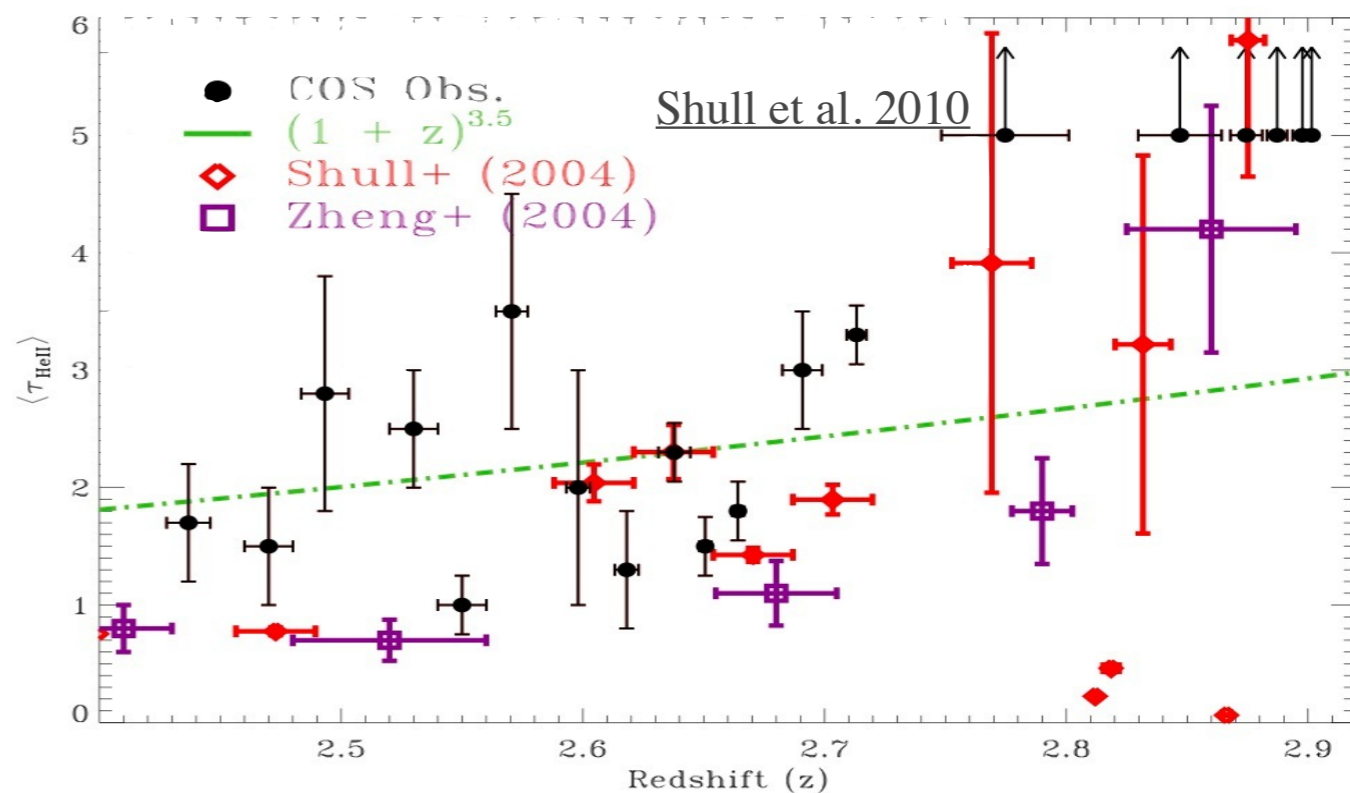
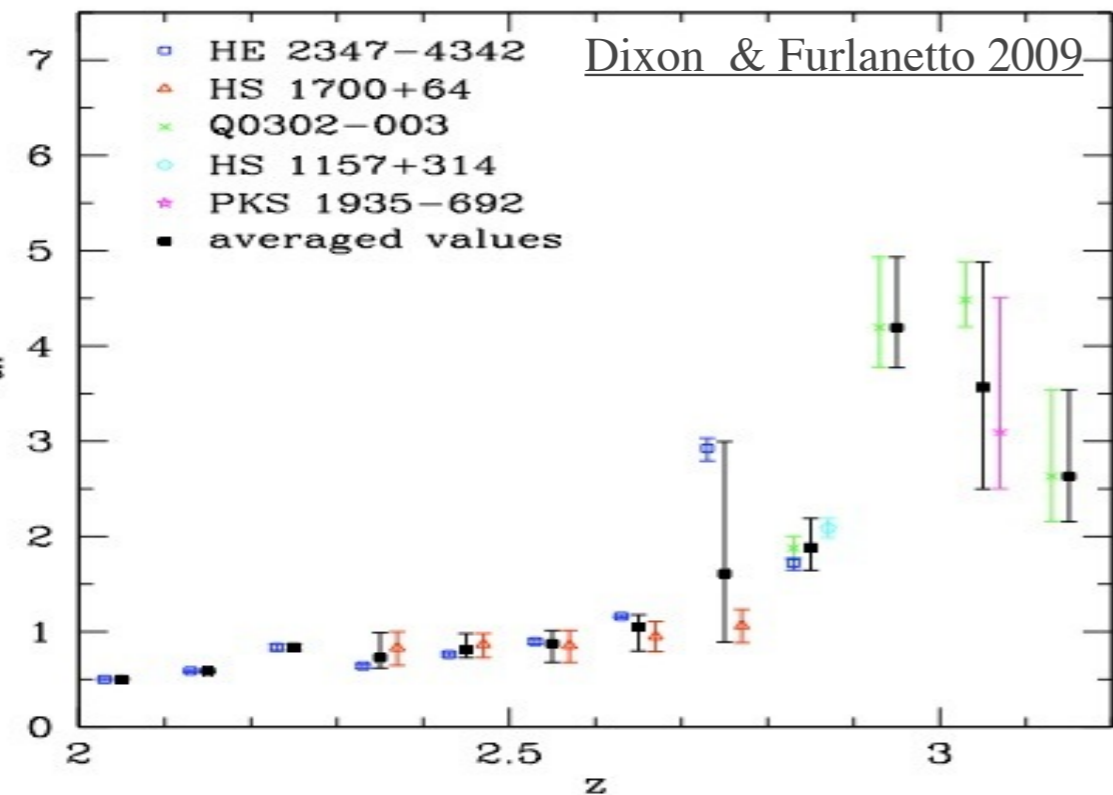
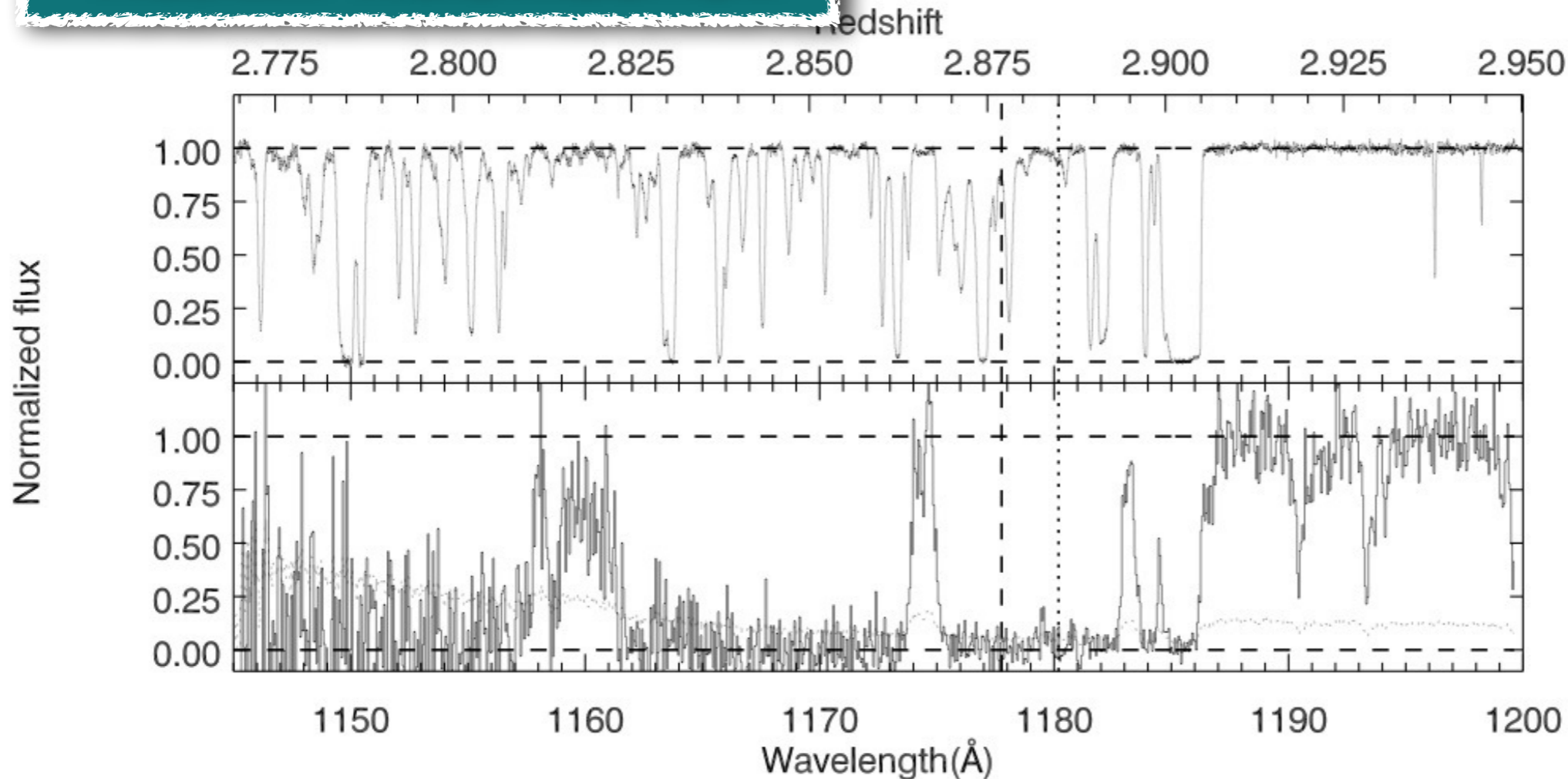
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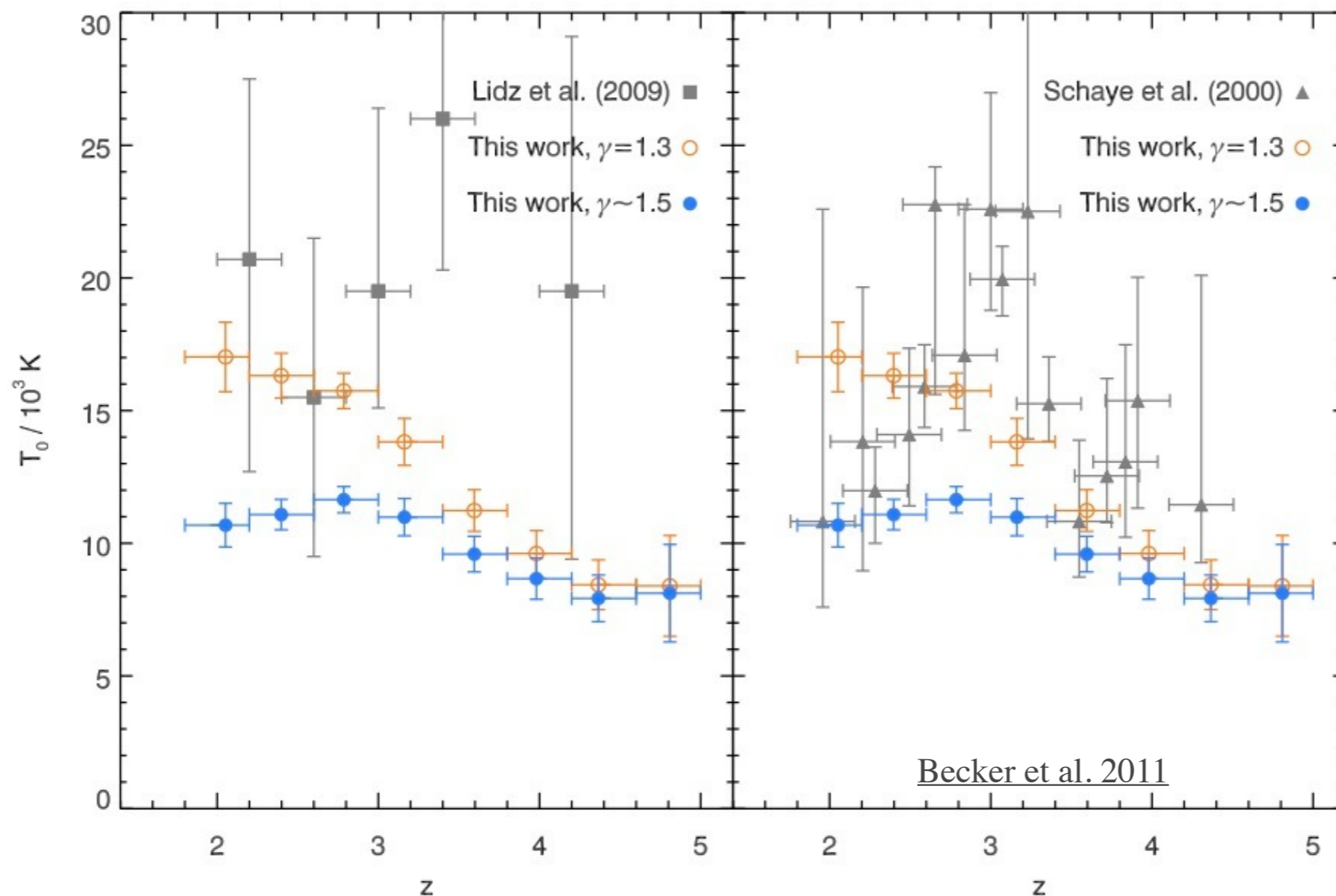
**HI reionization
 completed at $z \gtrsim 6$**

Helium Reionization



Helium Reionization

IGM Temperatures over $2 < z < 5$



IGM temperature possibly shows a peak at $z \approx 2.8-3$ indicating He reionization then.

He reionization occurs at $z_{\text{reion}} \approx 3$ BUT the process is patchy. Possible indications of a delayed, slow reionization period, extending down to $z < 2.7$ BUT Worseck et al. (2016): clean los up to $z \sim 4.5$

Cosmological Radiative Transfer

The equation of cosmological radiative transfer describes the time evolution of the space/angle-averaged specific intensity J_ν

$$\left(\frac{\partial}{\partial t} - \nu \frac{\dot{a}}{a} \frac{\partial}{\partial \nu} \right) J_\nu = -3 \frac{\dot{a}}{a} J_\nu - c \kappa_\nu J_\nu + \frac{c}{4\pi} \epsilon_\nu$$

$$J_{\nu_0}(z_0) = \frac{c}{4\pi} \int_{z_0}^{\infty} dz \frac{dt}{dz} \frac{(1+z_0)^3}{(1+z)^3} \epsilon_\nu(z) e^{-\tau_{\text{eff}}}$$

$$\nu = \nu_0(1+z)/(1+z_0)$$

$$\tau_{\text{eff}}(\nu_0, z_0, z) = \int_{z_0}^z dz' \int_0^{\infty} dN_{\text{HI}} f(N_{\text{HI}}, z') (1 - e^{-\tau})$$

$$\tau(\nu') = [N_{\text{HI}} \sigma_{\text{HI}}(\nu') + N_{\text{HeI}} \sigma_{\text{HeI}}(\nu') + N_{\text{HeII}} \sigma_{\text{HeII}}(\nu')]$$

$$\nu' = \nu_0(1+z')/(1+z_0)$$

CUBA solution flow chart

ABSORBERS

HI distribution

local radiative transfer \rightarrow H/He ionization state

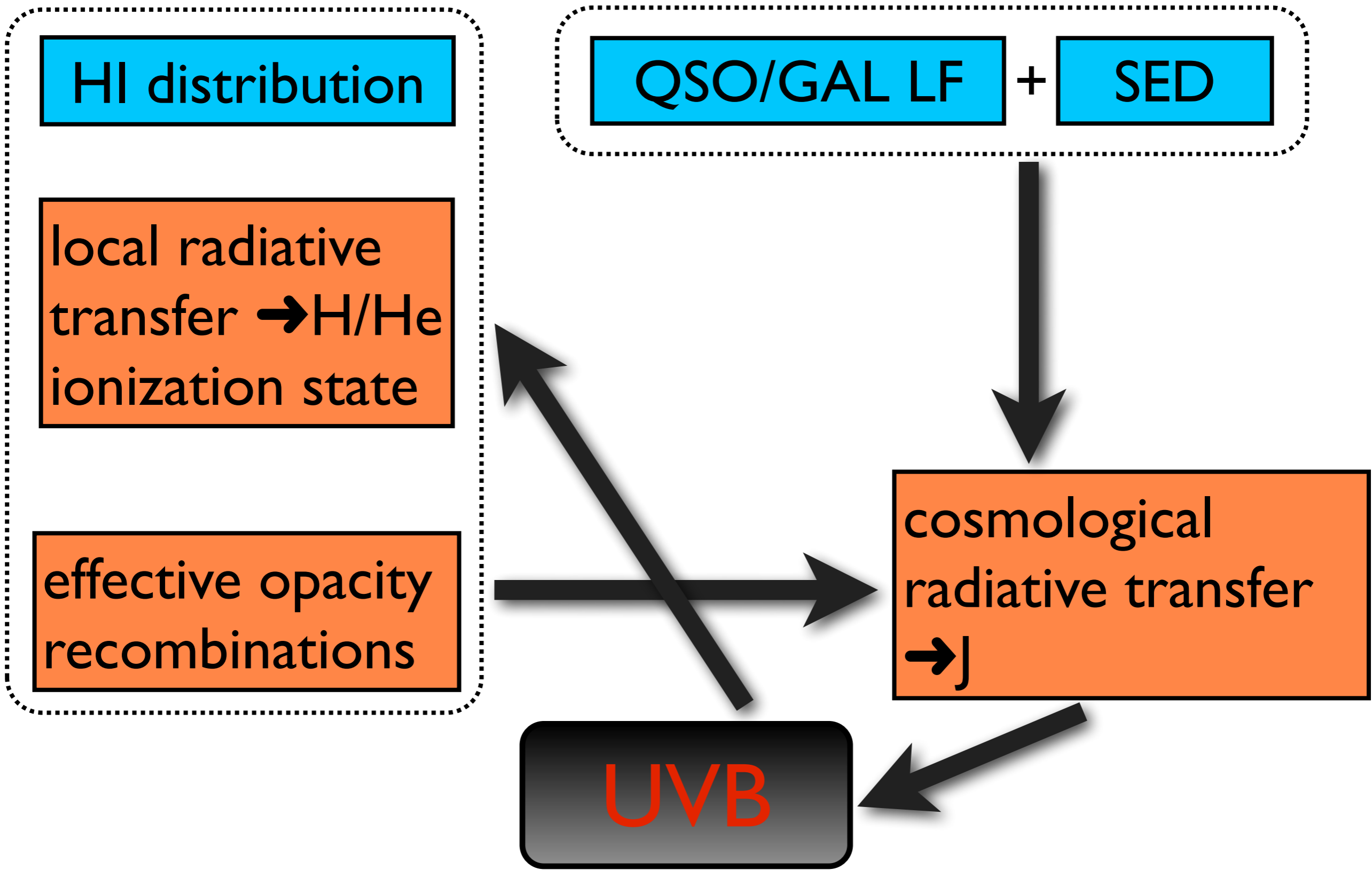
effective opacity recombinations

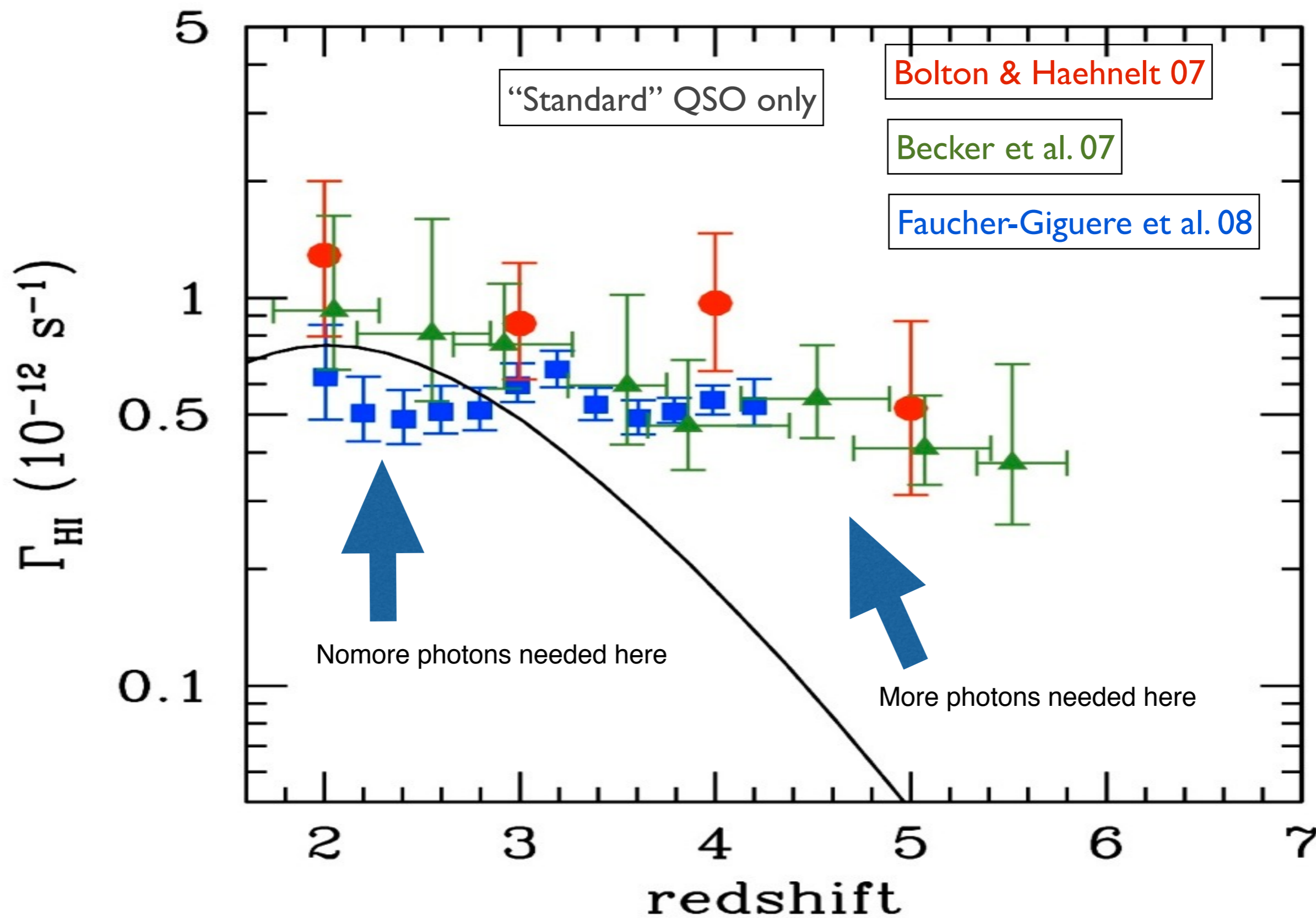
SOURCES

QSO/GAL LF + SED

cosmological radiative transfer \rightarrow J

UVB





Contribution from Star Forming Galaxies

The model:

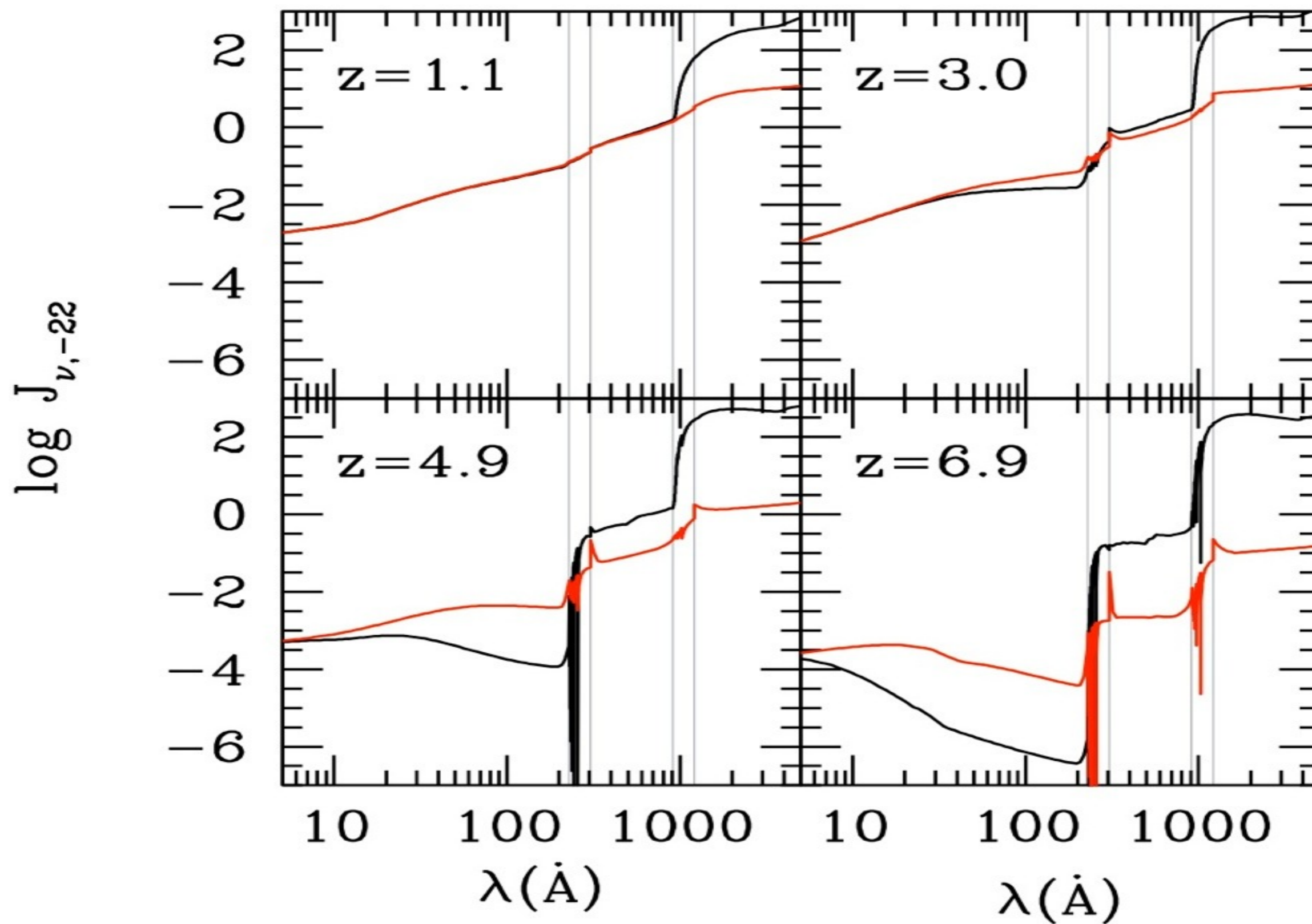
Synthetic SED (Bruzual & Charlot) with Salpeter IMF, fiducial Z vs z .

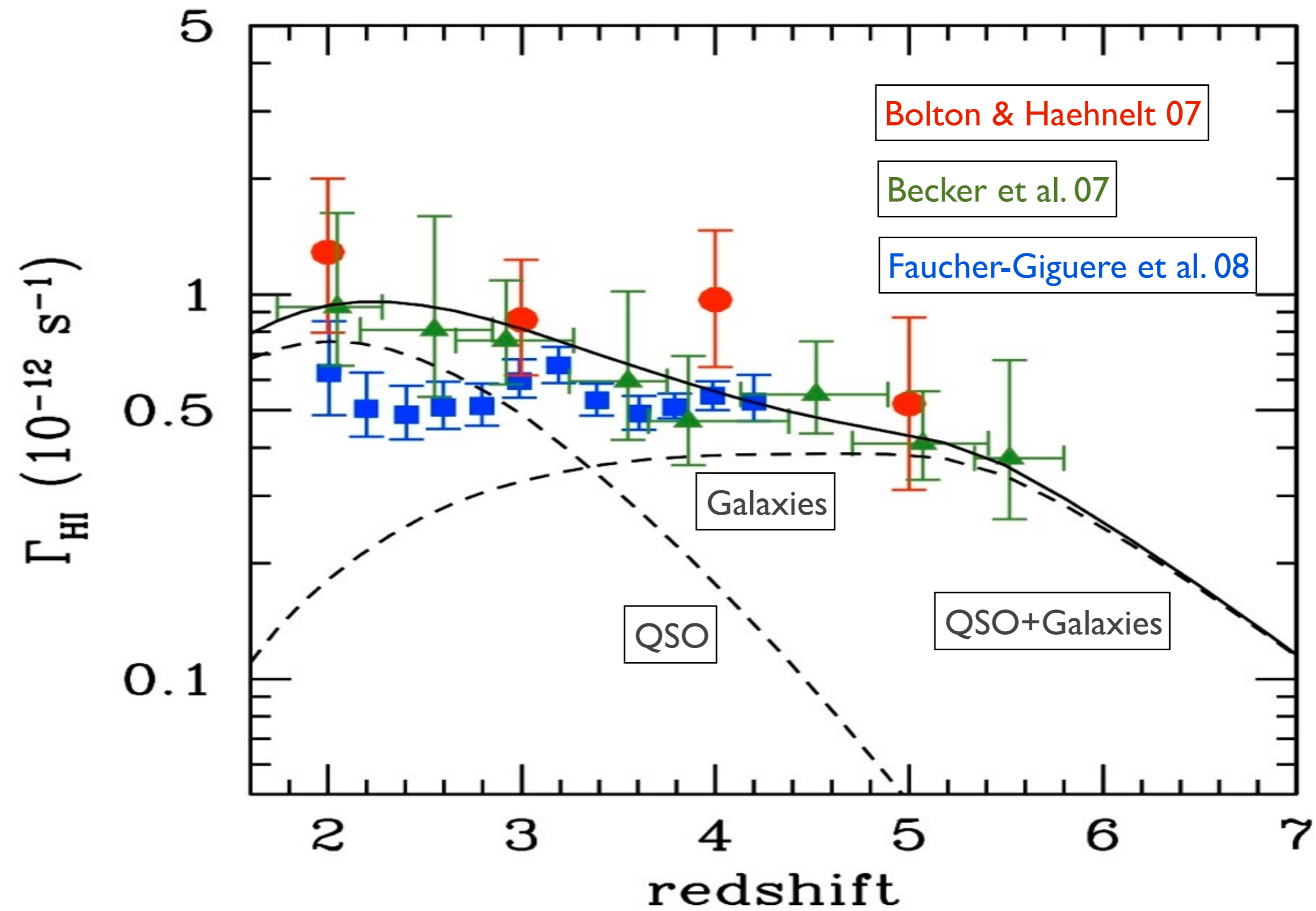
SFRD (Schiminovich et al. 2005, Reddy & Steidel 2009, Bouwens et al. 2010).
Key parameters: slope of the faint end, dust correction.

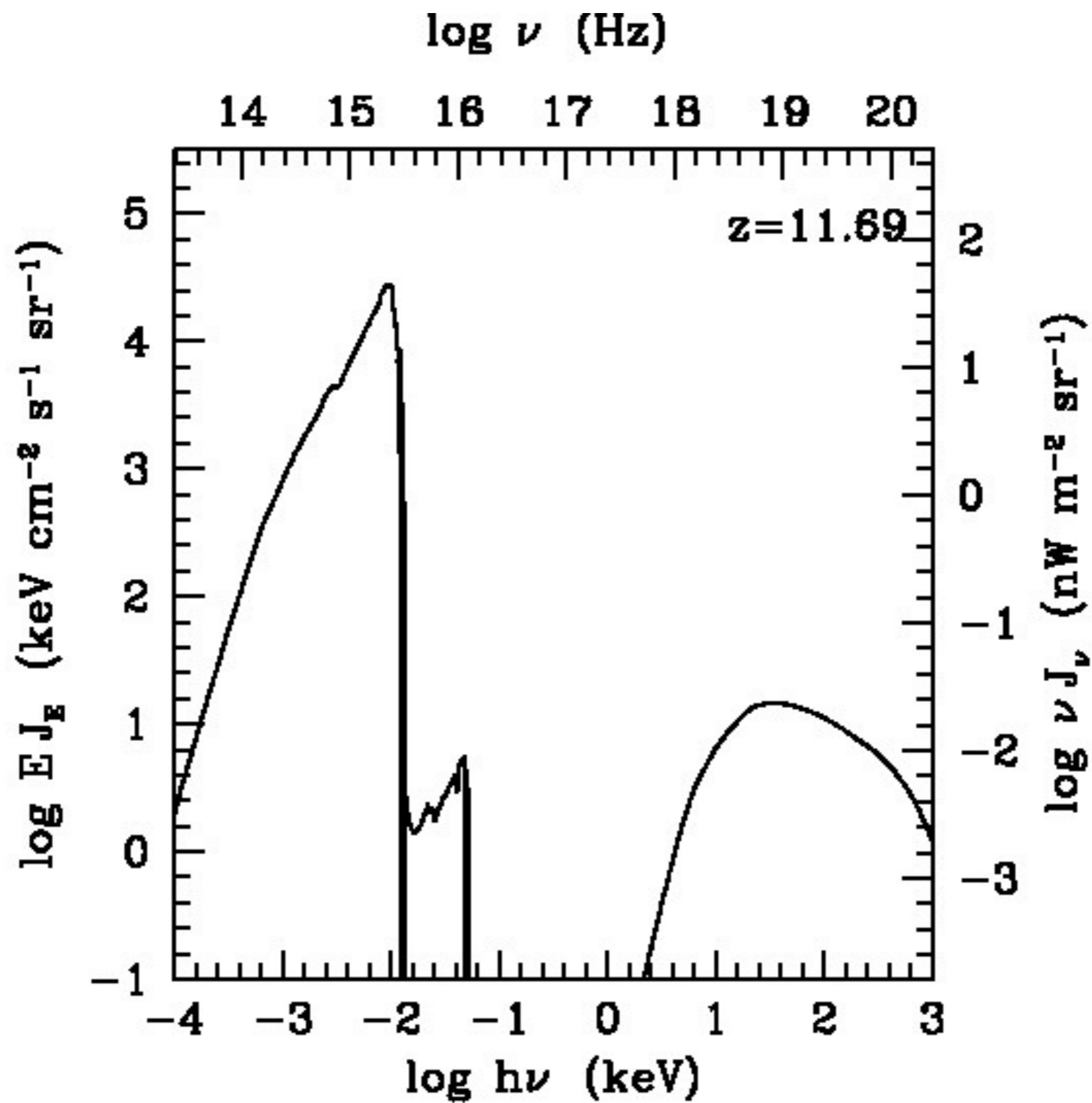
One “fitting” quantity:
redshift-dependent escape fraction (lo-to-hi with z)

Constraints:

- 1) reionize HI by $z=6-7$, HeII by $z=2.5-3.5$;
- 2) fit ionization rate measurements.







www.ucolick.org/~pmadau/CUBA/HOME.html

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CUBA

COSMIC ULTRAVIOLET BACKGROUND

A COSMOLOGICAL 1D RADIATIVE TRANSFER CODE BY
FRANCESCO HAARDT AND PIERO MADAU

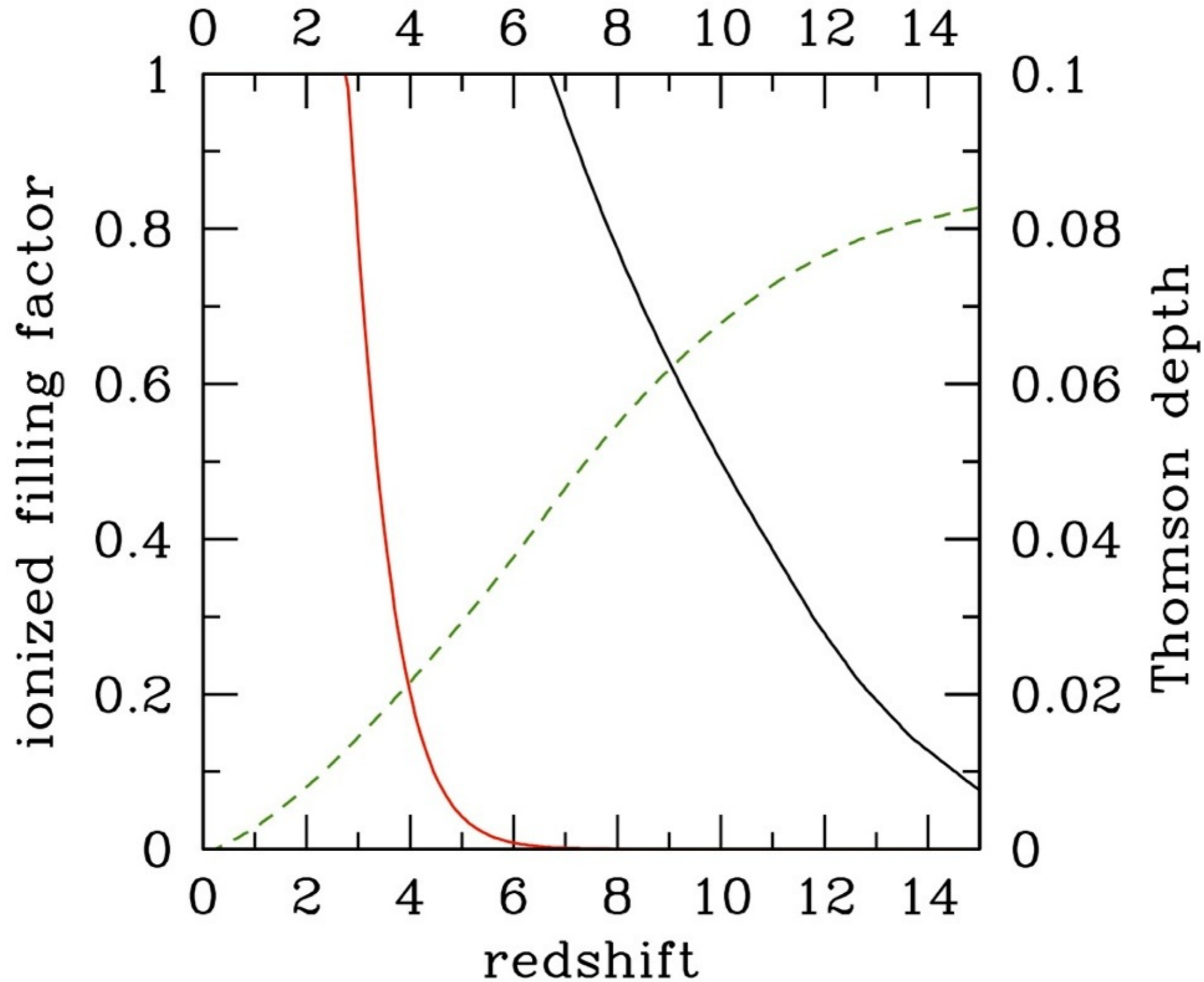


CUBA is a radiative transfer code that follows the propagation of hydrogen and helium Lyman continuum radiation through a partially ionized and clumpy intergalactic medium. The only sources of ionizing radiation included in CUBA are star-forming galaxies and quasars.

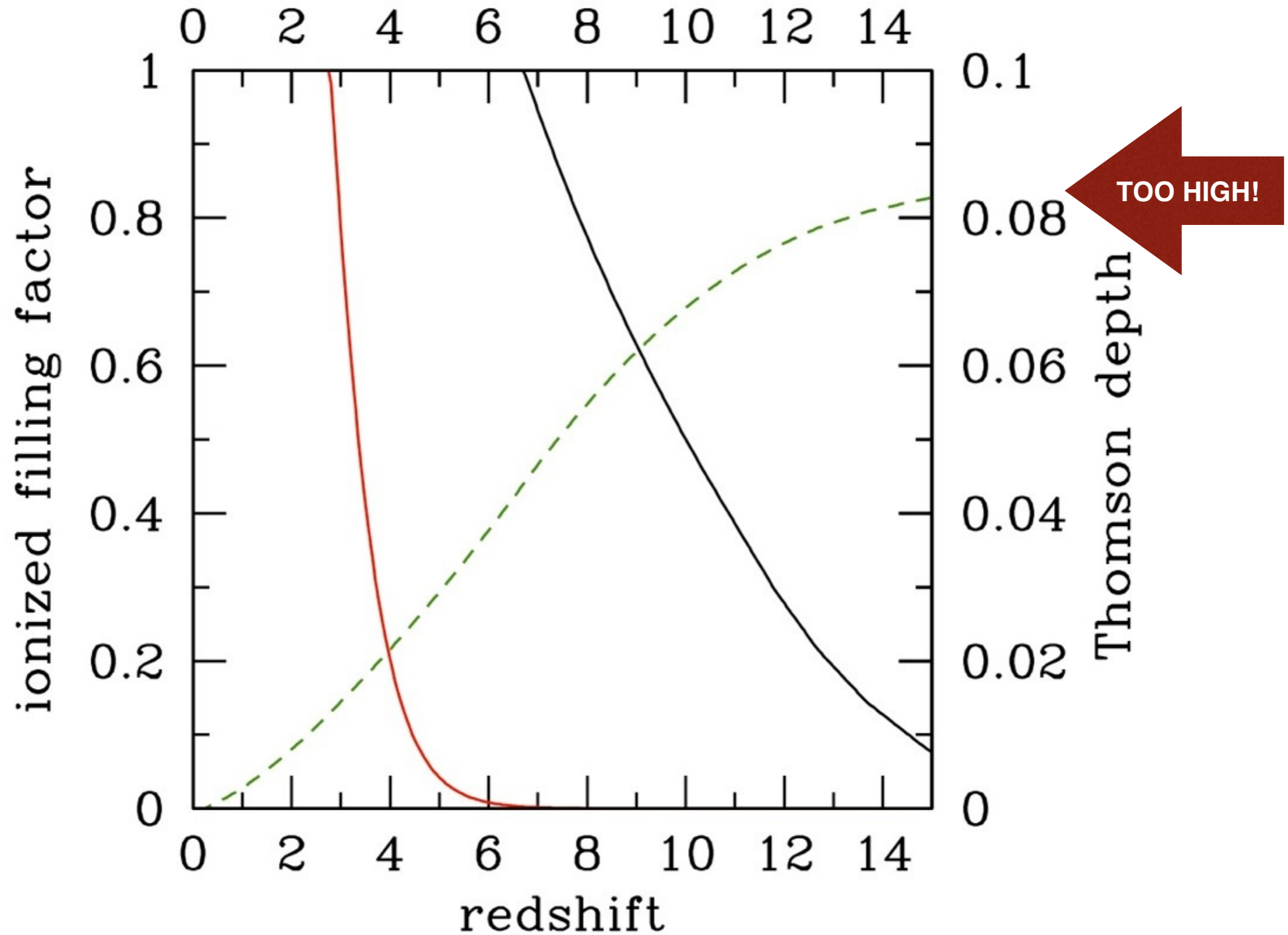


Made on a Mac

Filling factors and Thomson opacity



Filling factors and Thomson opacity



Model Summary

HI reionized at $z=6.7$

HeII reionized at $z=2.8$

Fits HI ionization rates (flux decrement+proximity).

$$\tau_{\text{es}}=0.083$$

Revised now to 0.058. This implies:

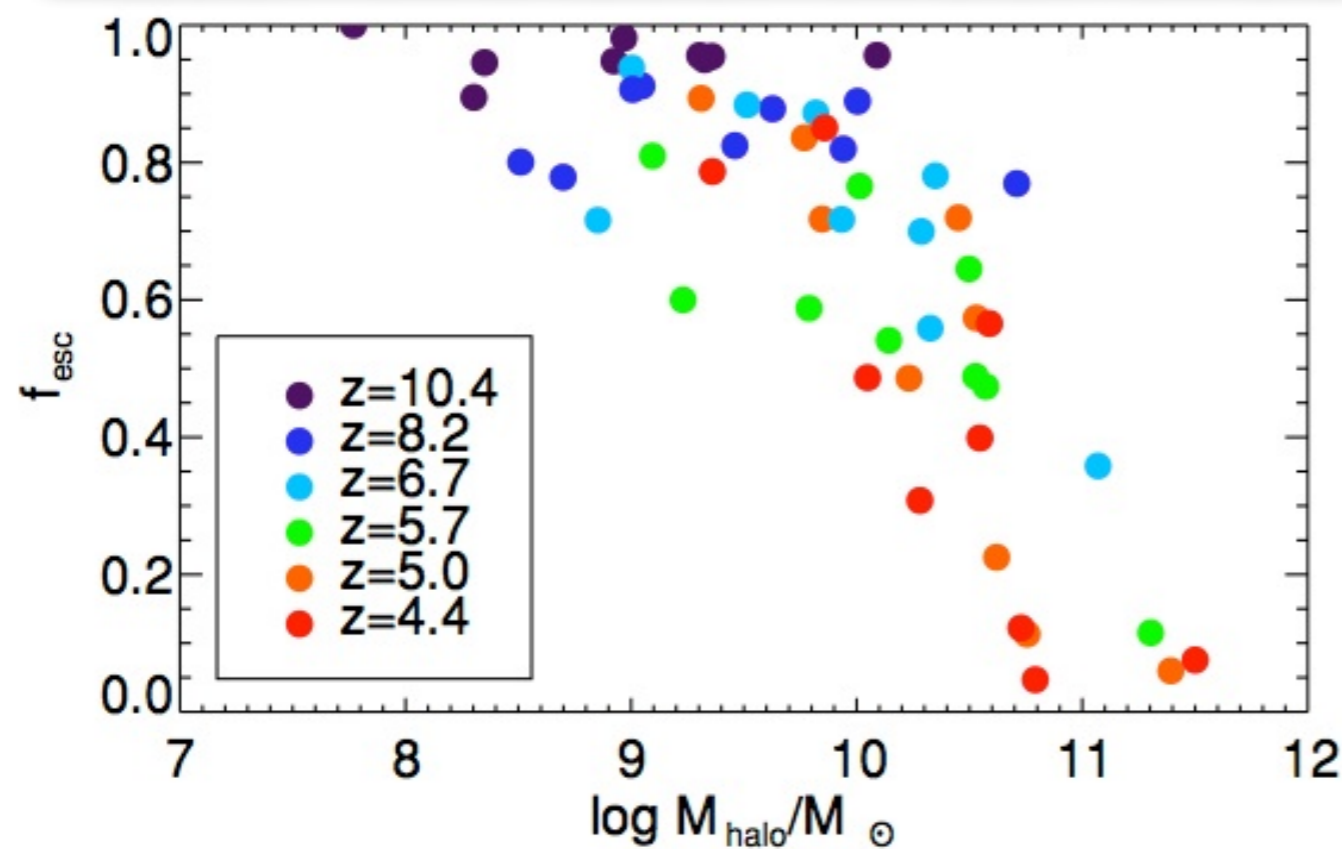
- 1) Reionization **does not** necessary need to occur **later**, rather, it **must be a bit faster** than thought before Planck results.

Model needs some revision (work in progress...)

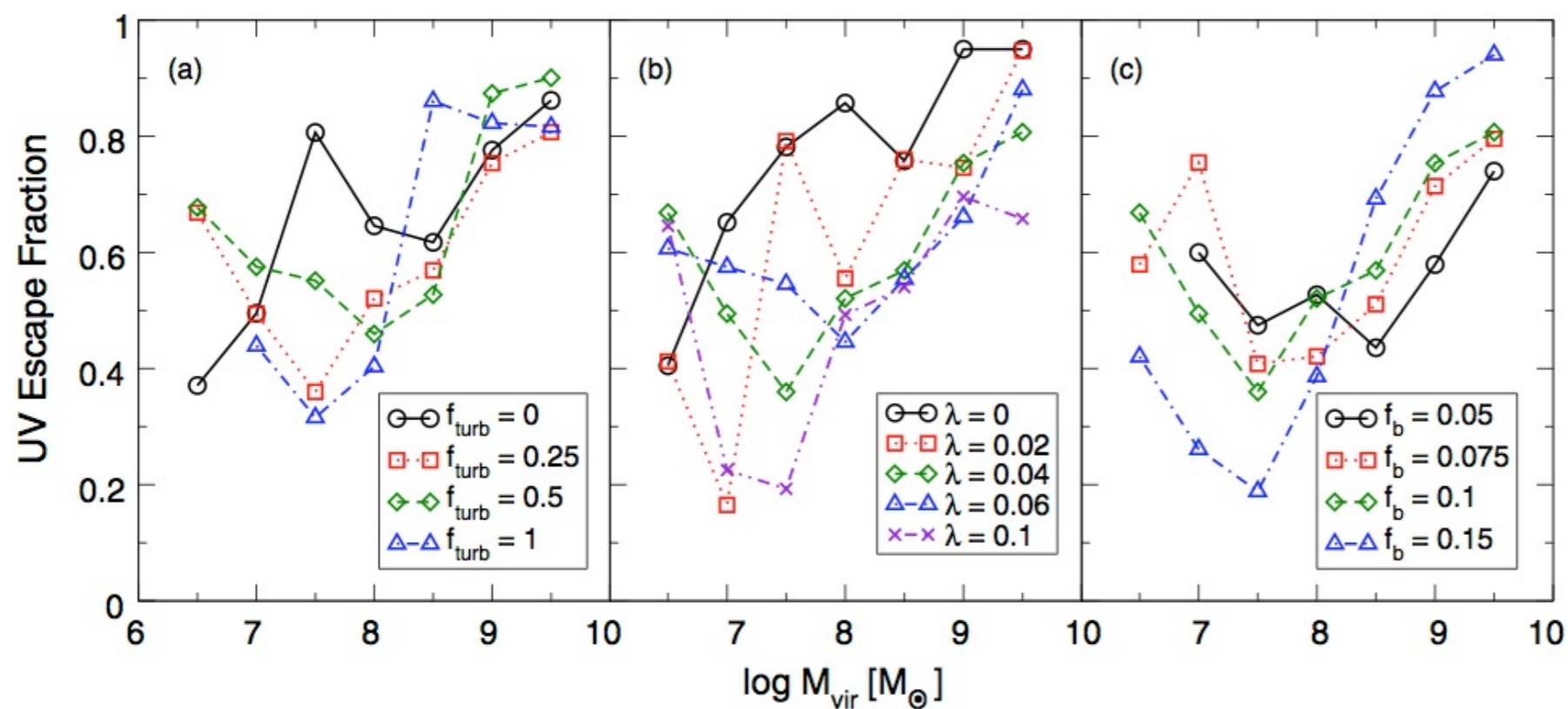
Crucial parameters to fit all constraints:

- 1) **faint-end** of the luminosity functions.
- 2) **escape fraction** of Lyman continuum photons.

L-z Dependent Escape Fraction?

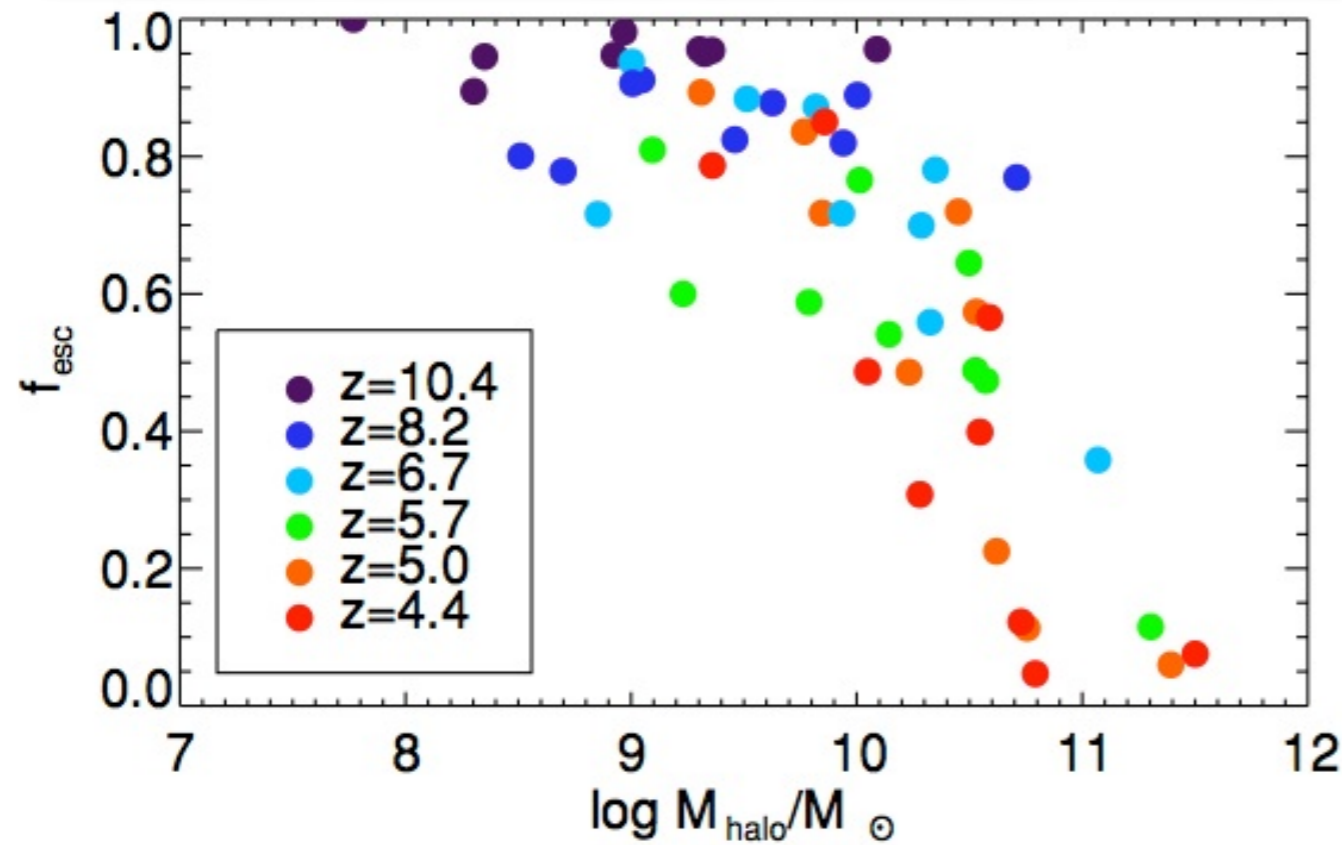


Razoumov & Sommer-Larsen 2010



Wise & Cen 2009

L-z Dependent Escape Fraction?



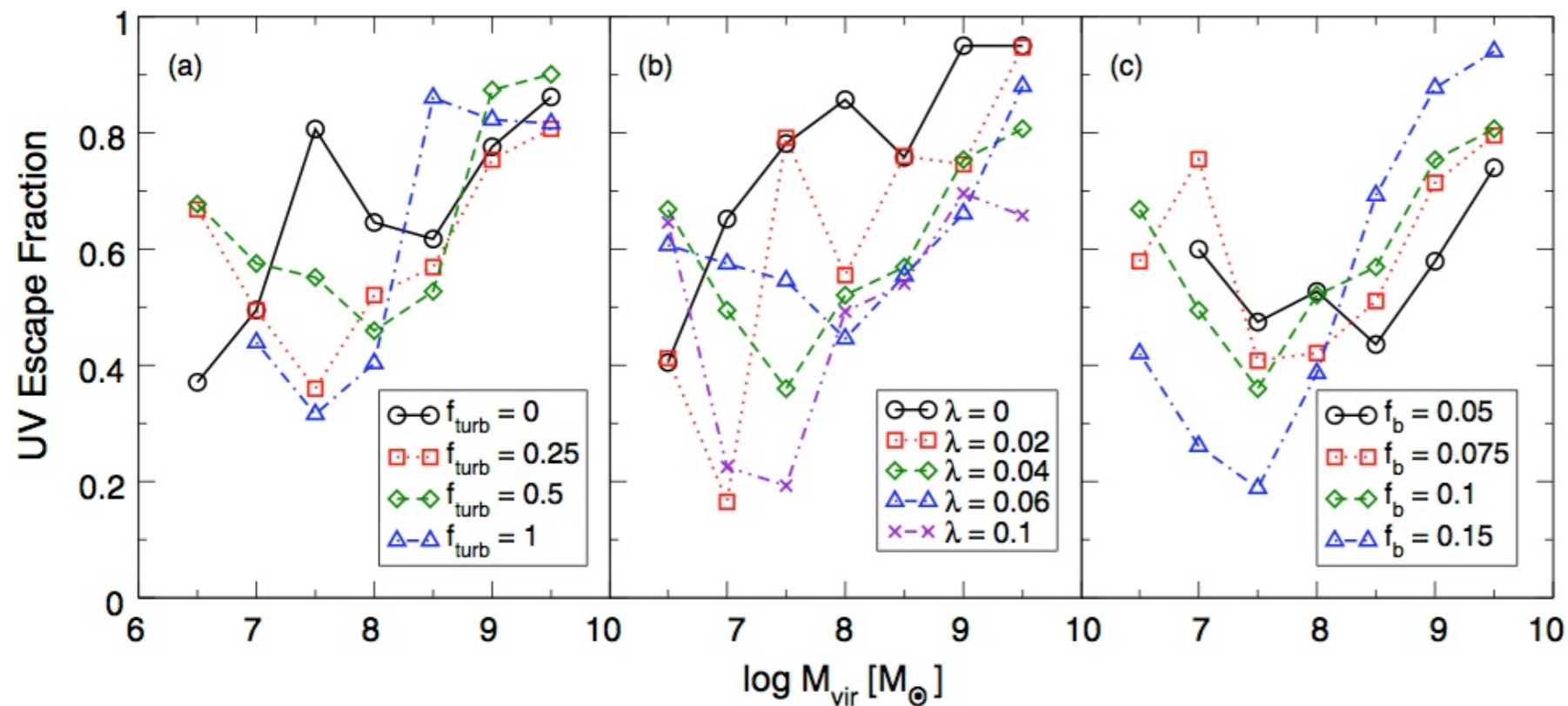
Razoumov & Sommer-Larsen 2010

Contradictory Results from Simulations

Low f_{esc} from observations:
 $f_{\text{esc}} < 5\%$ at $z \sim 3$ from $L \sim L^*$
 (Vanzella et al. 2012)

No LyC emitters in bright LBG ($z \sim 3$)
 (Siana et al. 2015)

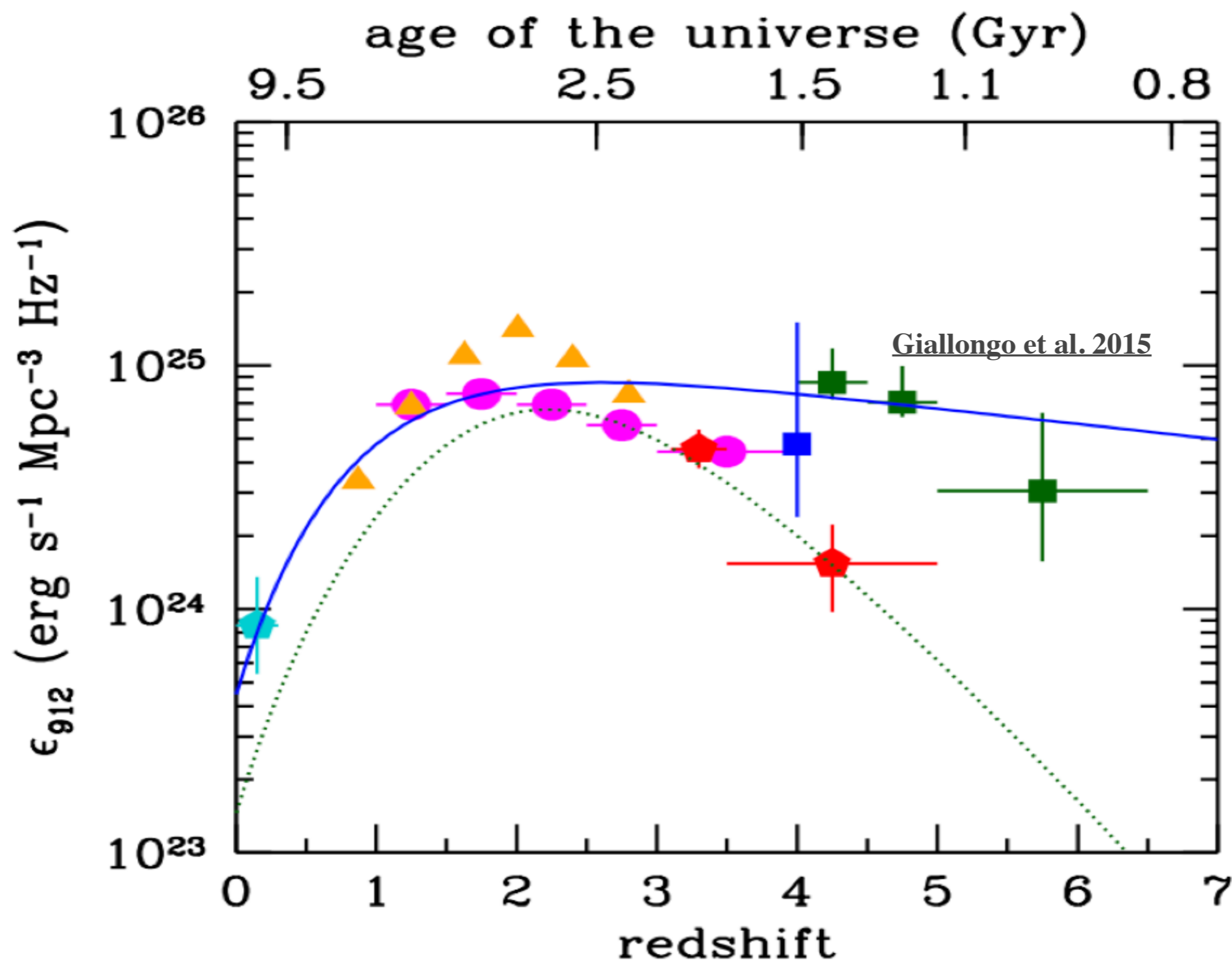
$f_{\text{esc}} < 5\%$ at $z \sim 1$ from 10^9 - $10^{10} M_{\text{sun}}$ galaxies
 (Rutkowski et al., 2016).



Wise & Cen 2009

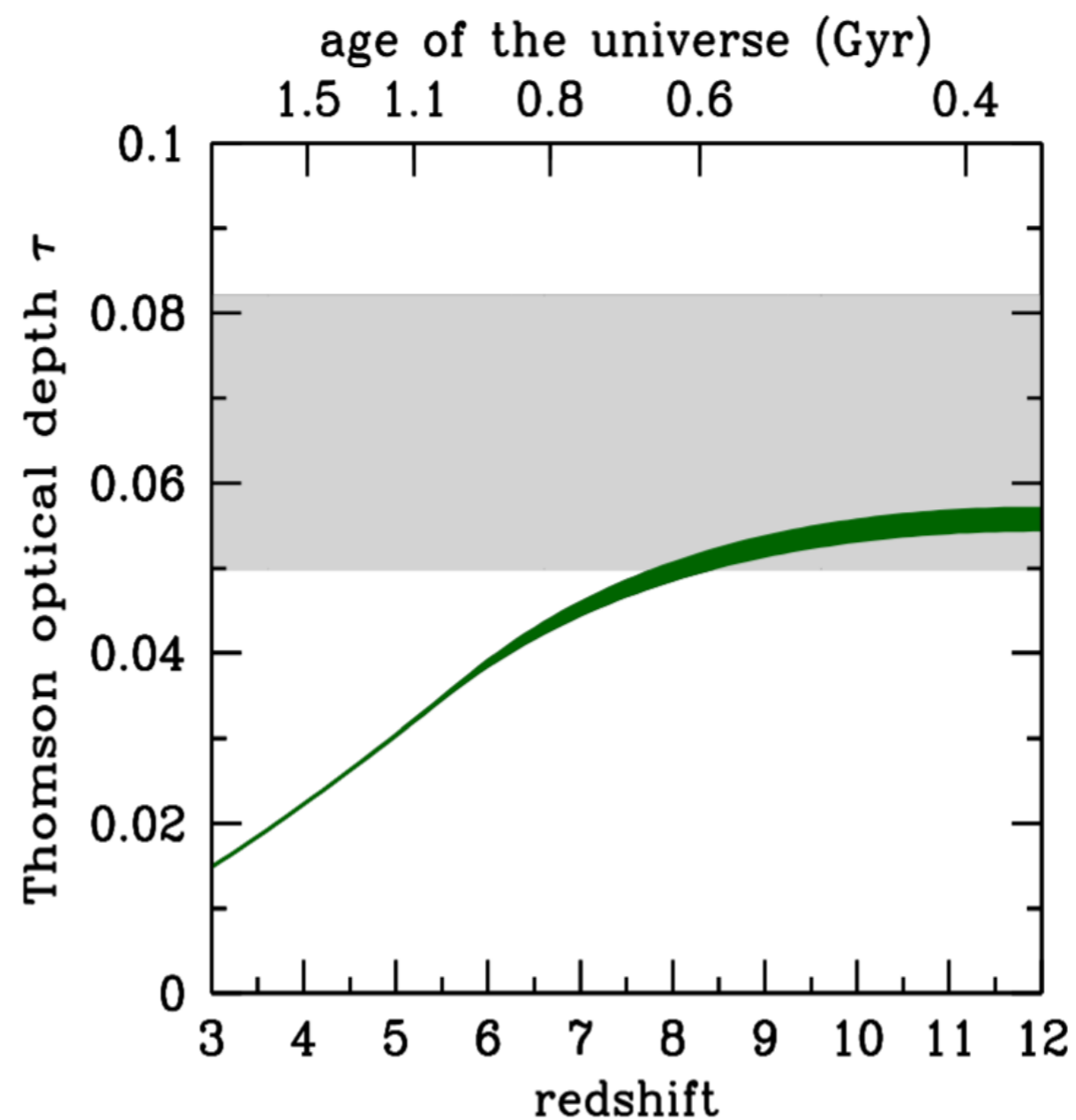
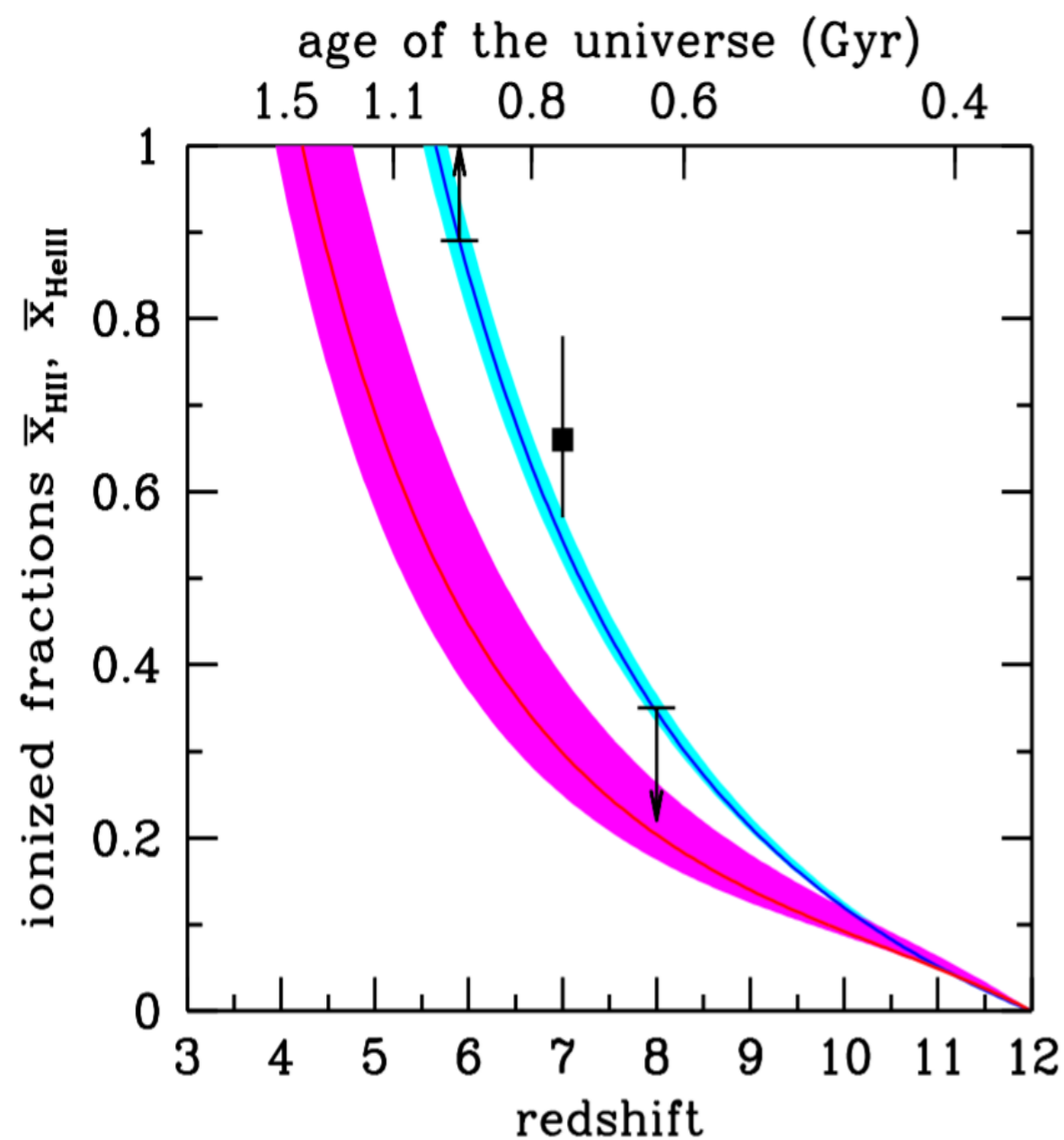
HI Reionization Driven by faint AGNs?

Madau & FH 2015



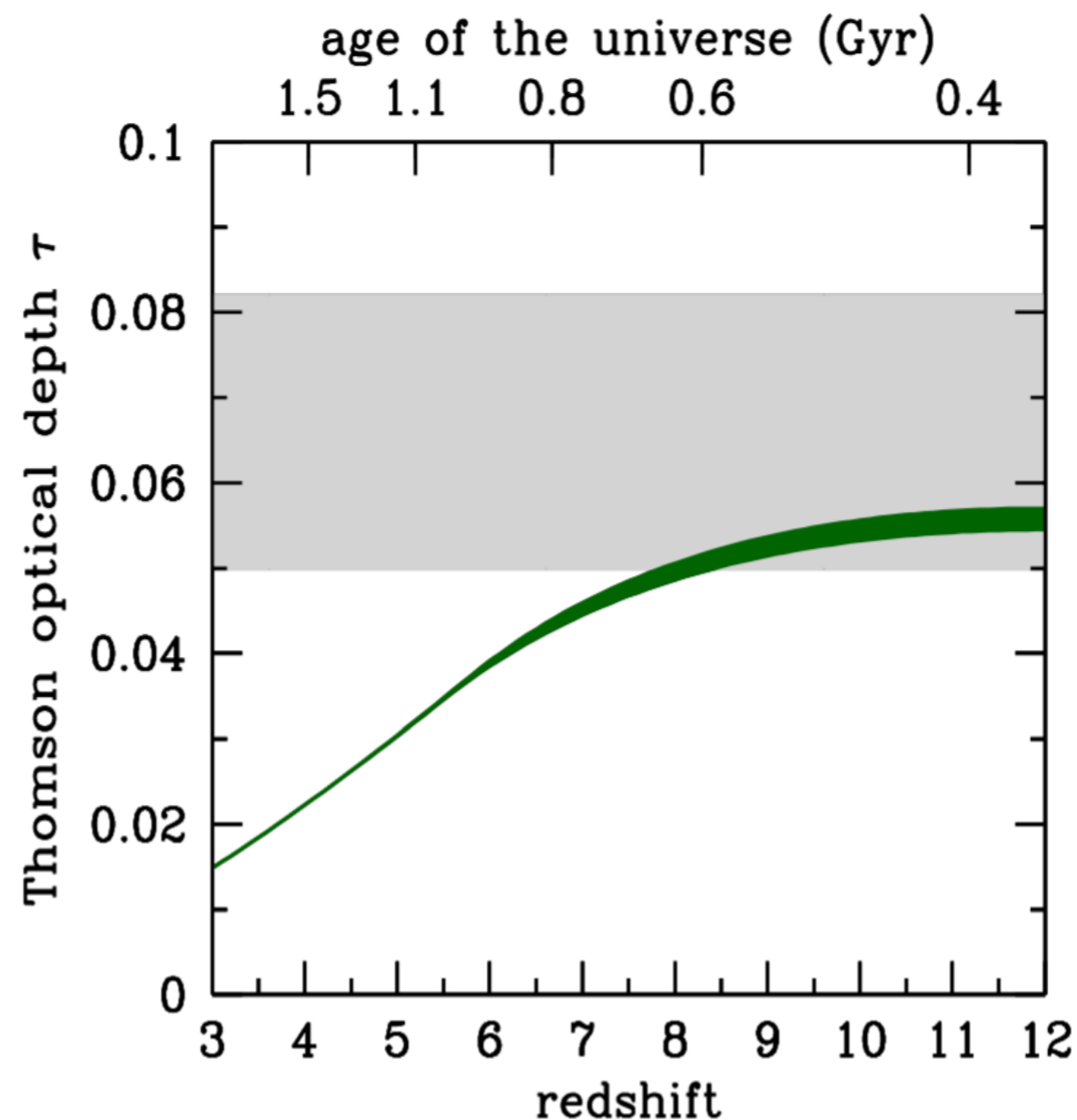
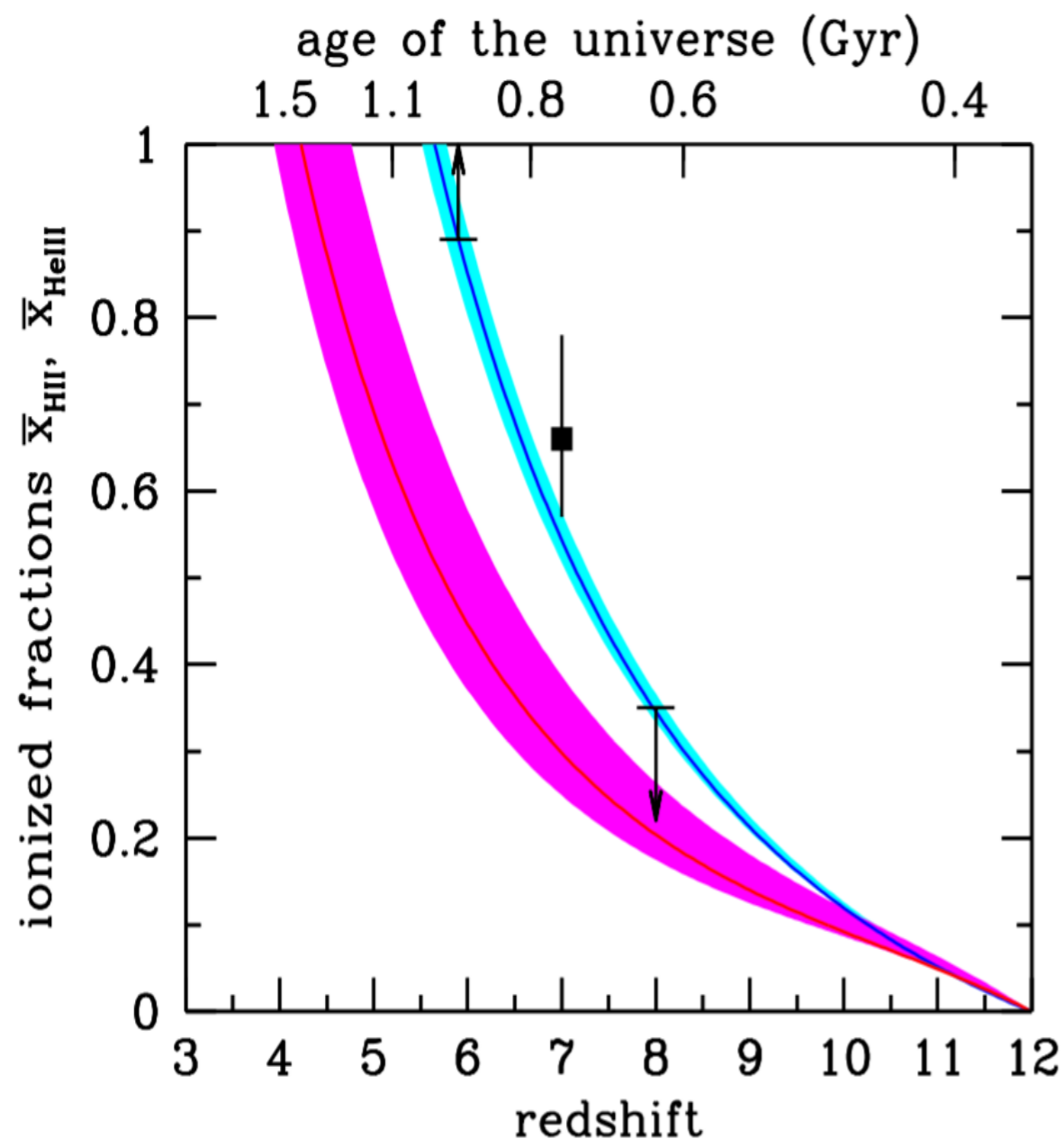
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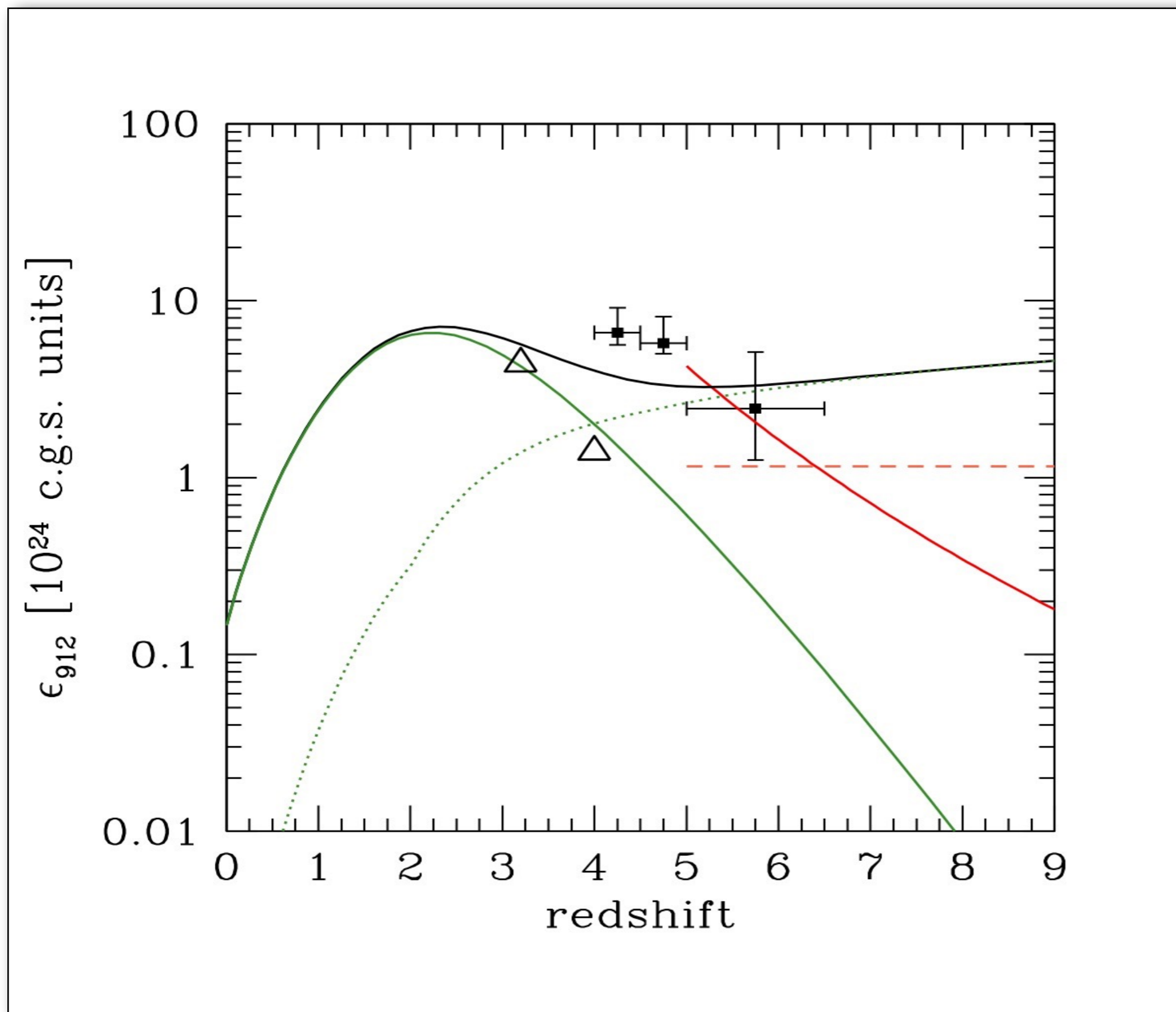
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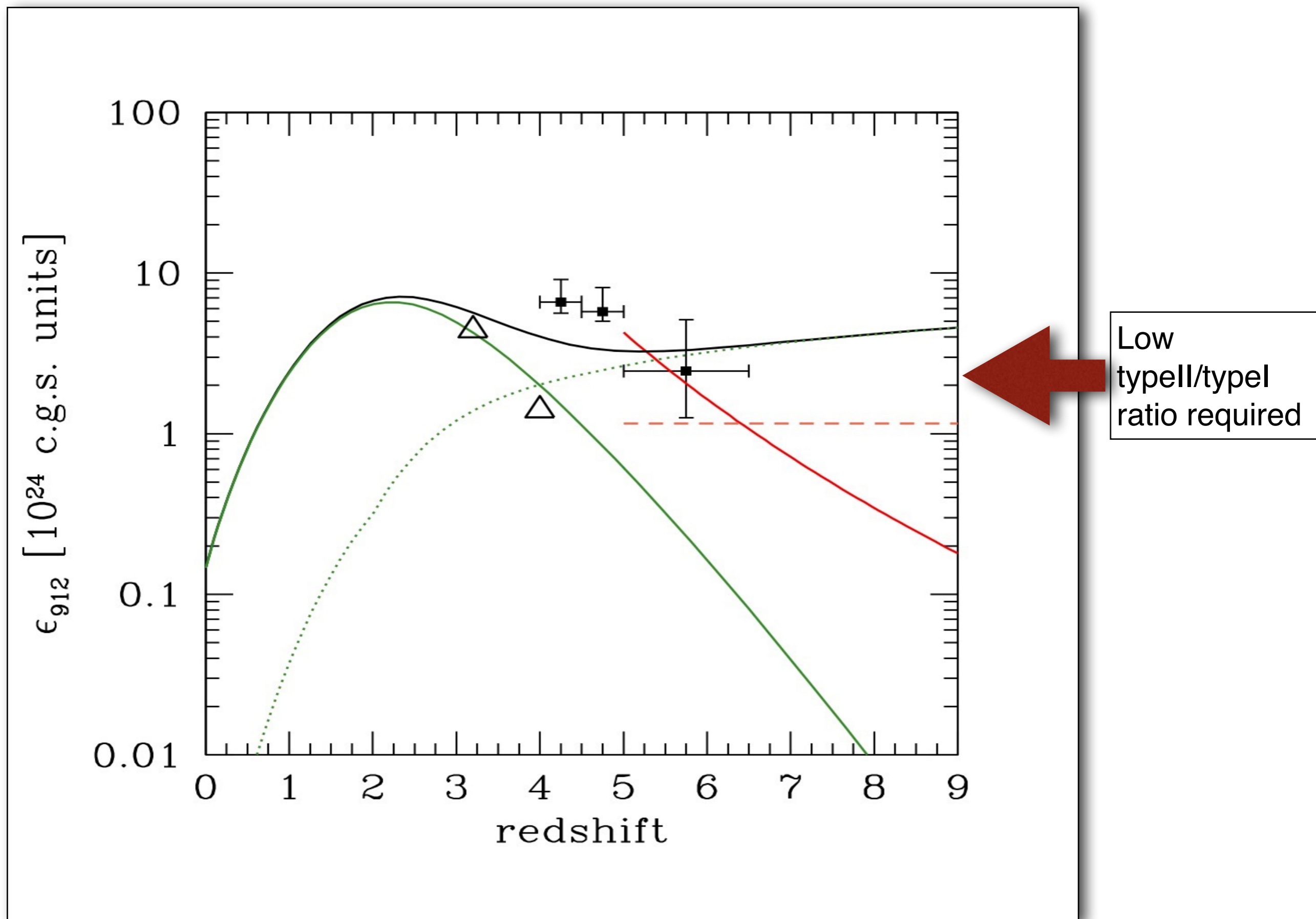
Madau & FH 2015

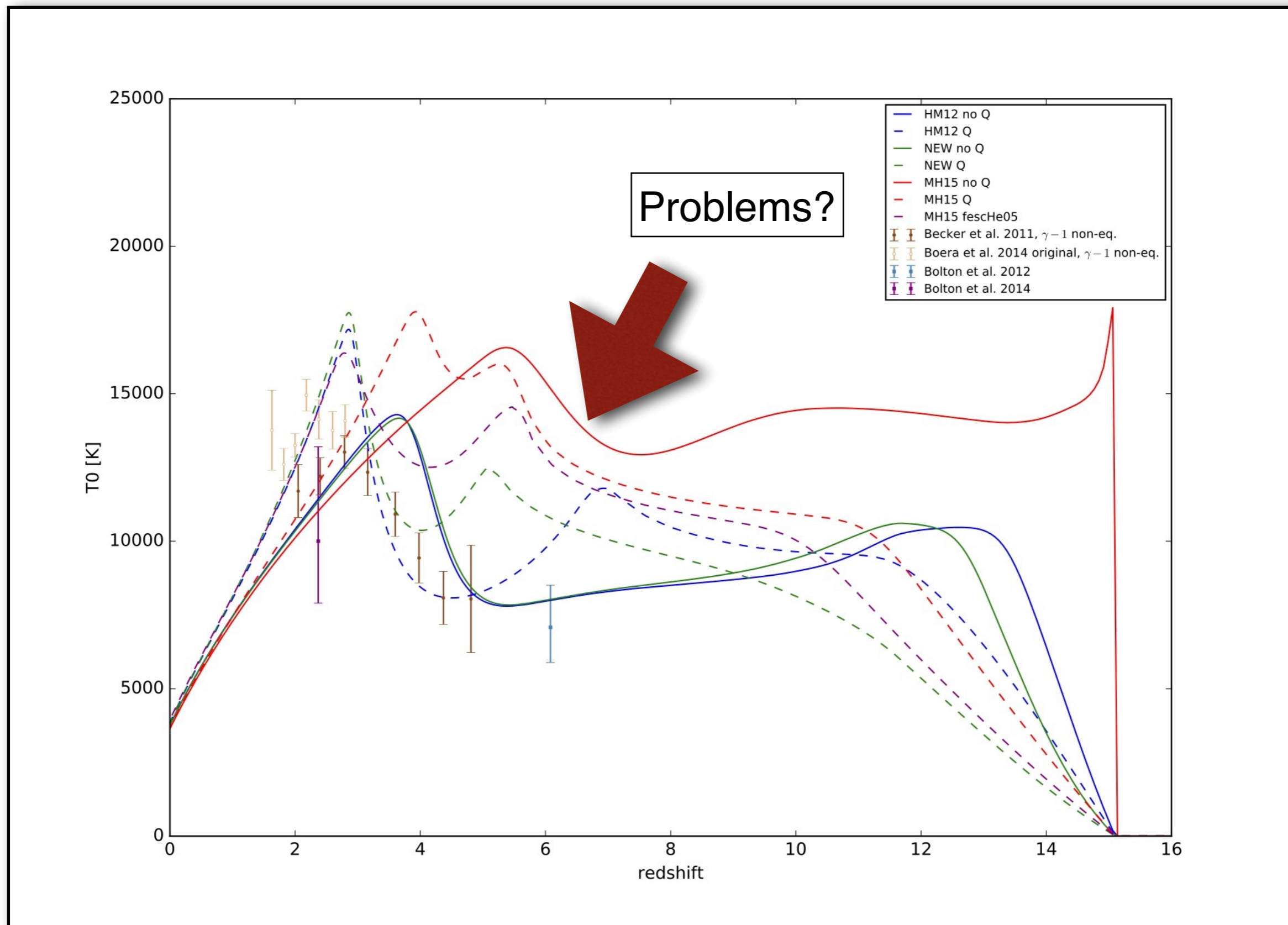


AGNs emissivity must be consistent with:

- 1) XRB unresolved fraction
- 2) Thermal history of the IGM







AGN driven reionization: so cool, and yet too hot?

Open Issues

Large uncertainties in almost all input quantities: hi-z LFs, SEDs, escape fraction, IGM clumpiness, etc.

HI:

1. When did reionization occur? How fast was it?
2. Can AGNs alone really do it?
3. Star forming galaxies can do it, but the observed escape fraction in bright galaxies at $z \sim 3$ seems too low. Is it much larger (possibly 100%!) in faint/dwarf galaxies? Is it an increasing function of redshift?
4. Is there a photon budget shortage at $z \sim 0$?

HeII:

1. Are indications of $z=3$ reionization real? (Contradictory results).
2. Are there other possible sources (e.g., X-ray binaries, blazars, decaying exotic particles)?