

Heavy Vector Resonance at the LHC

Andrea Thamm JGU Mainz

in collaboration with D. Pappadopulo, R. Torre and A. Wulzer based on arXiv:1402.4431 and work in progress

Heavy Vector Resonances

• many searches at 8 TeV and now ongoing at 13 TeV



Heavy Vector Resonances

- · heavy vectors among the most motivated direct searches
- since they appear in many NP models



• various colourless vectors



[del Aguila, de Blas, Perez-Victoria, arXiv:1005.3998]

simplified model approach



no coupling to quarks
studied here!
no coupling to fermions



Phenomenological Lagrangian

$$\mathcal{L}_{V} = -\frac{1}{4} D_{[\mu} V_{\nu]}^{a} D^{[\mu} V^{\nu] a} + \frac{m_{V}^{2}}{2} V_{\mu}^{a} V^{\mu a} \qquad V = (V^{+}, V^{-}, V^{0})$$

$$+ i g_{V} c_{H} V_{\mu}^{a} H^{\dagger} \tau^{a} \overleftrightarrow{D}^{\mu} H + \frac{g^{2}}{g_{V}} c_{F} V_{\mu}^{a} J_{F}^{\mu a}$$

$$+ \frac{g_{V}}{2} c_{VVV} \epsilon_{abc} V_{\mu}^{a} V_{\nu}^{b} D^{[\mu} V^{\nu] c} + g_{V}^{2} c_{VVHH} V_{\mu}^{a} V^{\mu a} H^{\dagger} H - \frac{g}{2} c_{VVW} \epsilon_{abc} W^{\mu \nu a} V_{\mu}^{b} V_{\nu}^{c}$$

Weakly coupled model

Strongly coupled model

$$g_V$$
 typical strength of V interactions
 $g_V \sim g \sim 1$ $1 < g_V \le 4\pi$
 c_i dimensionless coefficients
 $c_H \sim -g^2/g_V^2$ and $c_F \sim 1$ $c_H \sim c_F \sim 1$

Phenomenological Lagrangian

$$\mathcal{L}_{V} = -\frac{1}{4} D_{[\mu} V_{\nu]}^{a} D^{[\mu} V^{\nu] a} + \frac{m_{V}^{2}}{2} V_{\mu}^{a} V^{\mu a} \qquad V = (V^{+}, V^{-}, V^{0}) + i g_{V} c_{H} V_{\mu}^{a} H^{\dagger} \tau^{a} \overleftrightarrow{D}^{\mu} H + \frac{g^{2}}{g_{V}} c_{F} V_{\mu}^{a} J_{F}^{\mu a} + \frac{g_{V}}{2} c_{VVV} \epsilon_{abc} V_{\mu}^{a} V_{\nu}^{b} D^{[\mu} V^{\nu] c} + g_{V}^{2} c_{VVHH} V_{\mu}^{a} V^{\mu a} H^{\dagger} H - \frac{g}{2} c_{VVW} \epsilon_{abc} W^{\mu \nu a} V_{\mu}^{b} V_{\nu}^{c}$$

Coupling to SM Vectors



Coupling to SM fermions $J_F^{\mu \, a} = \sum_f \overline{f}_L \gamma^\mu \tau^a f_L$ f V_μ $c_F V \cdot J_F \rightarrow c_l V \cdot J_l + c_q V \cdot J_q + c_3 V \cdot J_3$

Phenomenological Lagrangian

$$\mathcal{L}_{V} = -\frac{1}{4} D_{[\mu} V_{\nu]}^{a} D^{[\mu} V^{\nu] a} + \frac{m_{V}^{2}}{2} V_{\mu}^{a} V^{\mu a} \qquad V = (V^{+}, V^{-}, V^{0}) + i g_{V} c_{H} V_{\mu}^{a} H^{\dagger} \tau^{a} \overleftrightarrow{D}^{\mu} H + \frac{g^{2}}{g_{V}} c_{F} V_{\mu}^{a} J_{F}^{\mu a} + \frac{g_{V}}{2} c_{VVV} \epsilon_{abc} V_{\mu}^{a} V_{\nu}^{b} D^{[\mu} V^{\nu] c} + g_{V}^{2} c_{VVHH} V_{\mu}^{a} V^{\mu a} H^{\dagger} H - \frac{g}{2} c_{VVW} \epsilon_{abc} W^{\mu \nu a} V_{\mu}^{b} V_{\nu}^{c}$$

- Couplings among vectors
- do not contribute to V decays
- do not contribute to single production
- only effects through (usually small) VW mixing



Production rates

• DY and VBF production



- can compute production rates analytically
- easily rescale to different points in parameter space



Decay widths

• relevant decay channels: di-lepton, di-quark, di-boson

$$\Gamma_{V_{\pm} \to f\bar{f}'} \simeq 2 \Gamma_{V_{0} \to f\bar{f}} \simeq N_{c}[f] \left(\frac{g^{2}c_{F}}{g_{V}}\right)^{2} \frac{M_{V}}{96\pi},$$

$$\Gamma_{V_{0} \to W_{L}^{+}W_{L}^{-}} \simeq \Gamma_{V_{\pm} \to W_{L}^{\pm}Z_{L}} \simeq \frac{g_{V}^{2}c_{H}^{2}M_{V}}{192\pi} [1 + O(\zeta^{2})]$$

$$\Gamma_{V_{0} \to Z_{L}h} \simeq \Gamma_{V_{\pm} \to W_{L}^{+}h} \simeq \frac{g_{V}^{2}c_{H}^{2}M_{V}}{192\pi} [1 + O(\zeta^{2})]$$
Weakly coupled model
$$g_{V}c_{H} \simeq g^{2}c_{F}/g_{V} \simeq g^{2}/g_{V}$$

$$\int_{0.10}^{0} \frac{W^{+}W^{-}}{M_{c}} \frac{d}{d\bar{d}} \frac{d}{f\bar{f}}}{d\bar{d}}$$

$$g_{V} = 1$$

$$\int_{0.02}^{0} \frac{W^{+}W^{-}}{M_{0}} \frac{d}{d\bar{d}} \frac{d}{f\bar{f}}}{g_{V} = 1}$$

$$\int_{0.02}^{0} \frac{1000}{1000} \frac{1500}{2000} \frac{2500}{2500} \frac{3000}{3000} \frac{3500}{4000} \frac{4000}{M_{0}}$$

LHC bounds



- excluded for masses $< 3 \,\text{TeV}$
- di-lepton most stringent
- di-boson searches $< 1-2 \,\text{TeV}$

- excluded for masses < 1.5 TeVunconstrained for larger g_V
- di-boson most stringent
- in excluded region G_F , m_Z not reproduced

Limits on parameter space

experimental limits converted into (c_H, c_F) plane

yellow: CMS $l^+\nu$ analysis dark blue: CMS $WZ \rightarrow 3l\nu$ light blue: CMS $WZ \rightarrow jj$ black: bounds from EWPT





- $l\nu$ dominates
- EWPT not competitive
- only $-1 \lesssim c_F \lesssim 1$ allowed

- EWPT become comparable
- di-bosons more and more relevant
- strongly coupled model evades bounds from direct searches

Limits on parameter space

ATLAS:

W' to WZ

yellow: CMS $l^+\nu$ analysis dark blue: CMS $WZ \rightarrow 3l\nu$ light blue: CMS $WZ \rightarrow jj$ black: bounds from EWPT





ATLAS: V' to HV to (bb)(lep lep)

CMS: Z' to HZ to (tau tau)(qq)

LHC bounds

• experimental limits converted into (M_V, g_V) plane

[Pappadopulo, Thamm, Torre, Wulzer, arXiv:1402.4431]

yellow: CMS $l^+\nu$ analysis dark blue: CMS $WZ \rightarrow 3l\nu$ light blue: CMS $WZ \rightarrow jj$ black: bounds from EWPT



Strongly coupled model



- leptonic final state dominates at low g_V
- very different for larger coupling
- weaker limits if decay to top partners open

[Greco, Liu: arXiv:1410.2883] [Chala, Juknevich, Perez, Santiago: arXiv:1411.1771]

Combination of searches

• simplified model makes combination of searches easy

arXiv:1402.4431

to appear

Channel	$V^0 \in \left({f 1}, {f 3} ight)_{f 1}$	$V^+ \in (1,3)_{1}$	$V^0 \in (1, 1)_{0}$ $\in 3 \text{ of } SU(2)_R$	$V^+ \in 3$	$\in (1, 1)_{1}$ of $SU(2)_R$	Final states
11		×			×	-
l u	×		×		×	-
$l u_R$	×	×	×			llqq
jj						-
tb	×		×			-
tt		×			×	-
WW		×			×	l u qq, qqqq
ZZ	×	×	×		×	llll, llqq, qqqq
Zh		×			×	$llbb, \nu\nu bb$
WZ	×		×			lvll ,llqq, lvqq, qqqq
Wh	×		×			$l \nu b b$, $q q b b$
$W\gamma$	×		×			$\gamma q q , \gamma l u$
hh	×	×	×		×	$\{bb, au au,\gamma\gamma\}\otimes\{bb, au au,\gamma\gamma\},$
Triplet of SU(2) _L Singl			et of SU(2) _L		Singlet	of $SU(2)_L$



Limit setting



- want limits on $\sigma \times BR$ since model-independent can be easily reinterpreted
- but depends on details of analysis (assumed total width of resonance)
- discuss two (well known, but often forgotten) effects
- example: di-lepton invariant mass distribution





- depends on S/B ratio
- dashed green: signal + background with no interference
- green shaded region: constructive and destructive interference $\hat{\sigma}_{I}(\hat{s}) \propto \frac{(\hat{s} - M_V^2)}{(\hat{s} - M_V^2)^2 + M_V^2 \Gamma^2}$
- interference vanishes exactly at $\hat{s} = M_V^2$, is odd around this point
- $[M_V \Gamma, M_V + \Gamma]$ less sensitive

[Accomando, Becciolini, Balyaev, Moretti, Shepherd, arXiv:1304.6700] [Accomando, Becciolini, de Curtis, Dominici, Fedeli, Shepherd, arXiv:1110.0713]



▶ within mass window, deviation is < 10%

[Accomando, Becciolini, Balyaev, Moretti, Shepherd, arXiv:1304.6700] [Accomando, Becciolini, de Curtis, Dominici, Fedeli, Shepherd, arXiv:1110.0713]



- due to steep fall of parton luminosities at large energies
 - total BW cross section

s section

$$\frac{d\sigma_{\rm S}}{dM_{l^+l^-}^2} = \sum_{i,j} \frac{4\pi}{3} \frac{\Gamma_{V \to q_i q_j} \Gamma_{V \to l^+l^-}}{(M_{l^+l^-}^2 - M_V^2)^2 + M_V^2 \Gamma^2} \frac{M_{l^+l^-}^2}{M_V^2} \frac{dL_{ij}}{d\hat{s}} \bigg|_{\hat{s}=M_{l^+l^-}^2} \frac{dL_{ij}}{d\hat{s}} \bigg|_{\hat{s}=M_V^2}$$

A 12

in peak region only $M_{l+l-} - M_V \sim \Gamma$ $\frac{d\sigma_{\rm S}}{dM_{l^+l^-}^2} = \sigma \times {\rm BR}_{V \to l^+l^-} {\rm BW}(M_{l^+l^-}^2; M_V, \Gamma)$



• assumption depends on variation of parton luminosities

$$\frac{M_{l+l-}^2}{M_V^2} \frac{dL_{ij}}{d\hat{s}} \bigg|_{\hat{s}=M_{l+l-}^2} \simeq \frac{dL_{ij}}{d\hat{s}} \bigg|_{\hat{s}=M_V^2}$$

- agreement better for small width
- parton luminosities decrease faster at larger masses
- however, in peak region deviation < 10%





- only limits set on peak region give model independent bounds (give bounds on $\sigma \times BR$ for each mass and width)
- searches sensitive to the tail only valid in the assumed model, not reusable

Conclusions

- model independent strategy to study heavy spin-1 triplets
- extremely useful to present results in terms of simplified model parameters allows easy reinterpretation
- limits should be set on $\sigma \times BR$ by focussing on the on-shell region