



# SOME THOUGHTS ON MACHINE LEARNING FOR GW DETECTOR CONTROL SYSTEMS

CONTROLS WORKSHOP

GWADW

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# PLAN OF ATTACK ... perhaps obvious

- Formulate suitable target problems including metrics or requirements
  - *Rana et. al. have identified some suitable problems*
  - *Hope to discuss & expand target problem list in this workshop*
- Create or identify a 'test bed'
  - A model or simulation that represents the plant and its disturbances, including the variations which warrant adaptation, and/or
  - A physical emulator (e.g. LASTI or 40m Lab systems)
- Identify a suitable ML technique(s)
  - *Discuss experience from the GW community in application of ML techniques in this workshop, e.g. DetChar has applied ML techniques – are they applicable to our control problems?*
- Pair up problems & ML techniques with volunteers
- Continue pursuit through the Control Systems Working Group (CSWG) monthly meetings
  - *All GW community members are encouraged to participate*

# SOME THOUGHTS REGARDING MACHINE LEARNING (ML)

- ML is most often not applied to control problems
  - Classification / Clustering
  - Image recognition / Pattern recognition
  - Data mining / Deep Learning
  - Optimization / Minimization
- When applied to control, it is generally for the purpose of
  - Adaptation of control parameters
  - System Identification
  - Few examples of application to complex MIMO systems



## Towards Automated Control

Caltech

Jenne Driggers, Vivien Raymond, Rory Smith, Brett Shapiro, Dirk Schuette, Bas Swinkels, Rana Adhikari  
California Institute of Technology

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### INTRODUCTION:

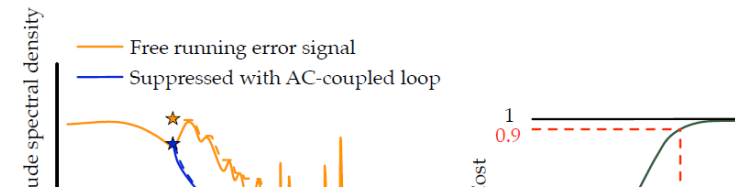
The manual tuning of hundred control loops can become a delay in interferometer commissioning. We present here an effort towards a technique to address this delay.

Ultimately, we would like to formulate an optimal control problem that allows us to incorporate arbitrary information about the controller requirements and constraints (inspired by [1]). Our current approach can be divided into three steps:

- Write a cost function that incorporates the goals and requirements for the particular control task.

### Reduce In-Band Error Signal

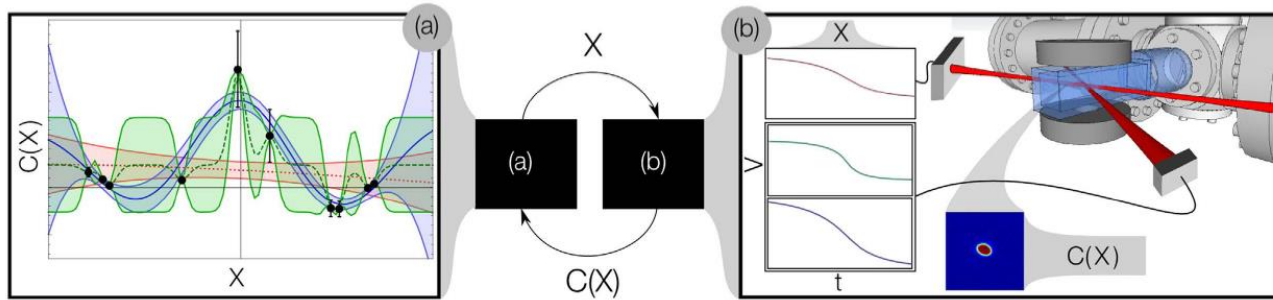
Suppress error signal in the control band. Use RMS in the control band. Minimize ratio of suppressed error signal's RMS to free running RMS.



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# EXAMPLE: BOSE-EINSTEIN CONDENSATE (BEC) MACHINE

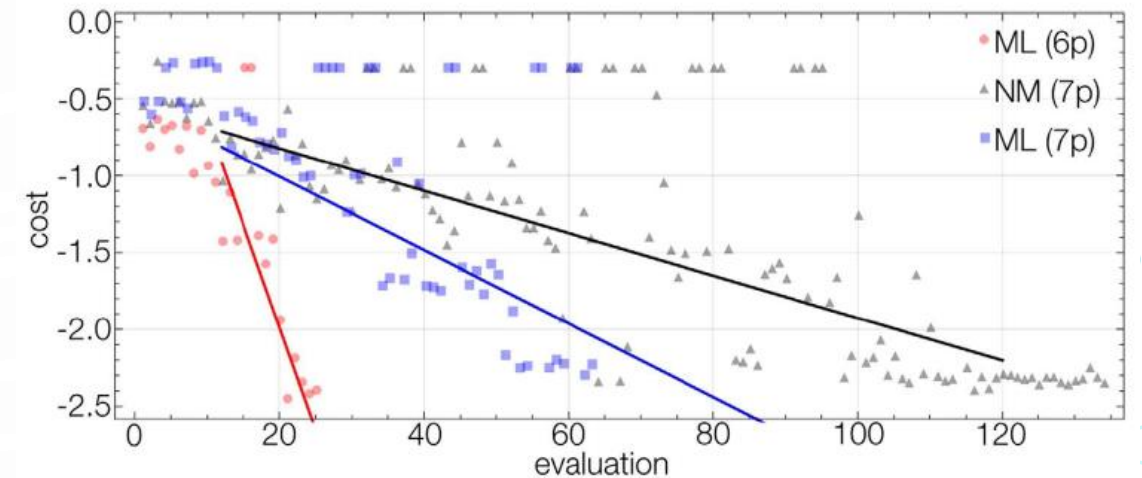
- Reference: “Fast machine-learning online optimization of ultra-cold-atom experiments”, P. B. Wigley, et. al., Nature, Scientific Reports, 2016; 6: 25890 DOI: 10.1038/srep25890
- Machine-learning online optimization (MLOO)
  - Real time optimization
  - Creates an internal statistical model (fits to previous observations)
  - Models the experiment using a Gaussian process (GP)
  - Chooses to do future experiments that will best refine its model, making it an automation of scientific method (Oh No! We'll all be out of jobs!)



Cost  $C$  for parameters  $X$

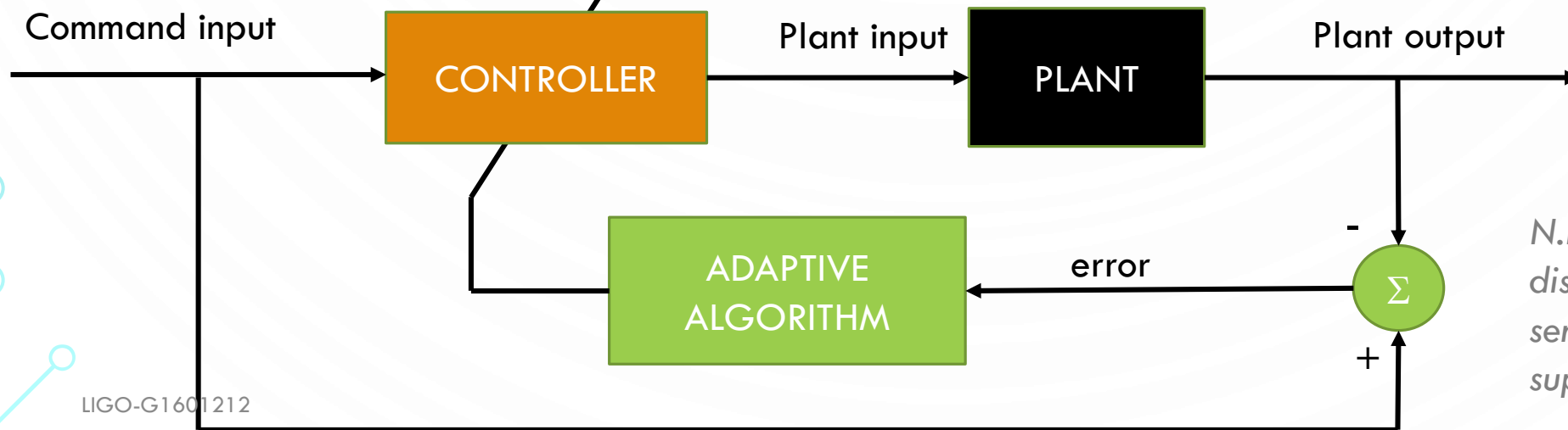
Experiment on Machine

ML (red and blue) optimizes faster than Nelder-Mead (black).  
Eliminated a parameter based on ML model & convergence improves (red).



# ADAPTIVE INVERSE CONTROL CONCEPT

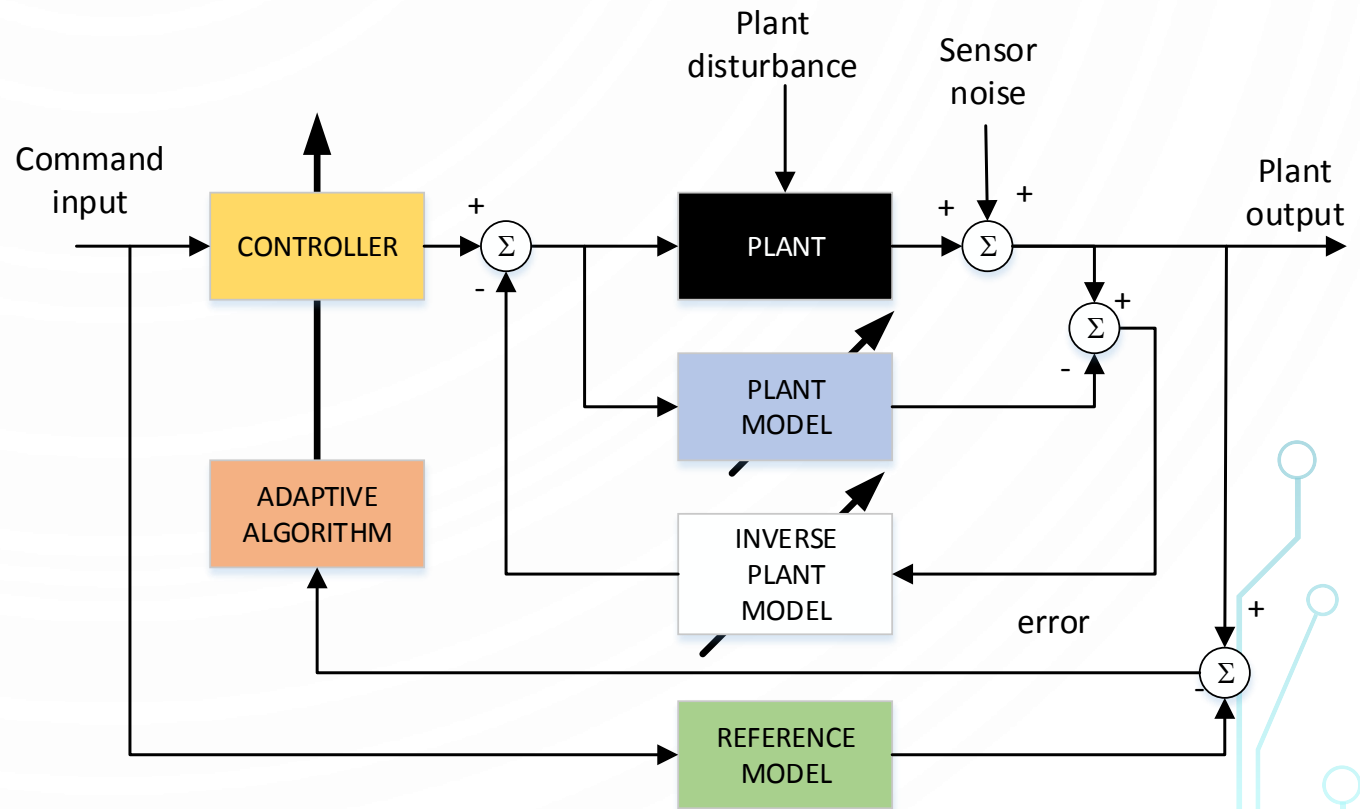
- Concept developed by Widrow & Walach (~1971 - 1986) and then married to neural networks (late 80s, early 90s)
- Adapt the controller (adjust its parameters) until the error is small, i.e. until the controller is the inverse of the plant
- The adaptation algorithm uses an objective such as minimizing the mean square error
- The adaptation is a form of feedforward control
- If the plant has delays, then the controller must be a predictor
- If the plant is non-minimum phase, then the inverse controller would be unstable. However one can introduce a suitable delay and realize a delayed plant inverse



*N.B.: as shown plant disturbances and sensor noise are not suppressed*

# MODEL-REFERENCE ADAPTIVE INVERSE CONTROL WITH PLANT NOISE AND DISTURBANCE CANCELING

- A reference model is chosen to have the desired system response
- Plant noise and disturbances are cancelled by feedback through an inverse plant model
- Requires 3 adaptation processes
- objective function must be chosen carefully to whiten and/or filter the error
- Inverted plants are notoriously non-robust due to plant variation  $\rightarrow$  the adaptation rate must be fast



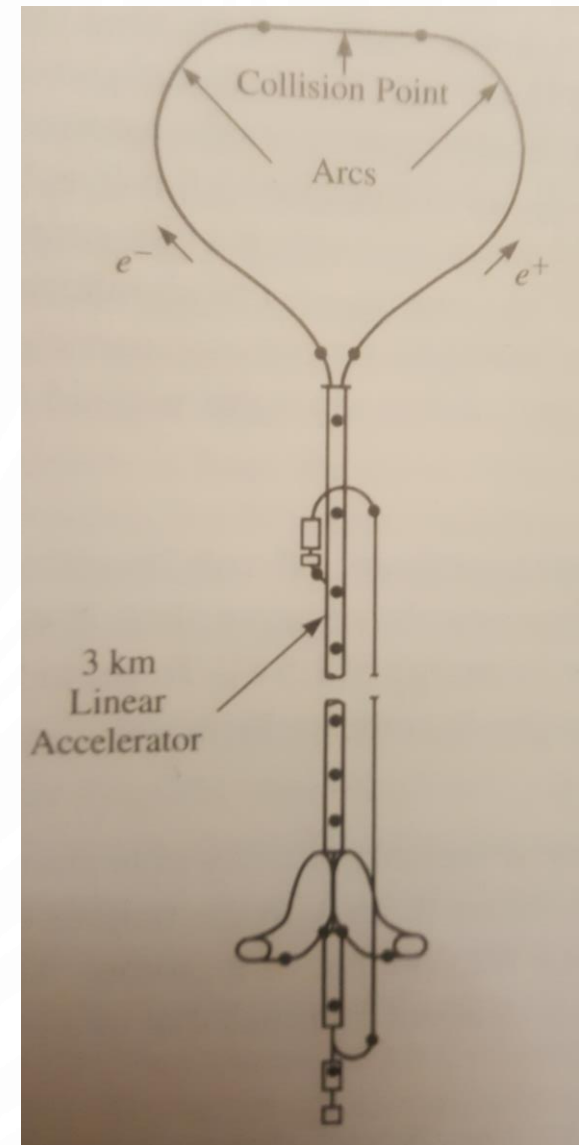
# EXAMPLE: MIMO APPLICATION OF ADAPTIVE-NOISE CANCELATION

- Beam Trajectory control for the SLC (SLAC Linear Collider)

Ref: B. Widrow, E. Walach, Adaptive Inverse Control, 1996.

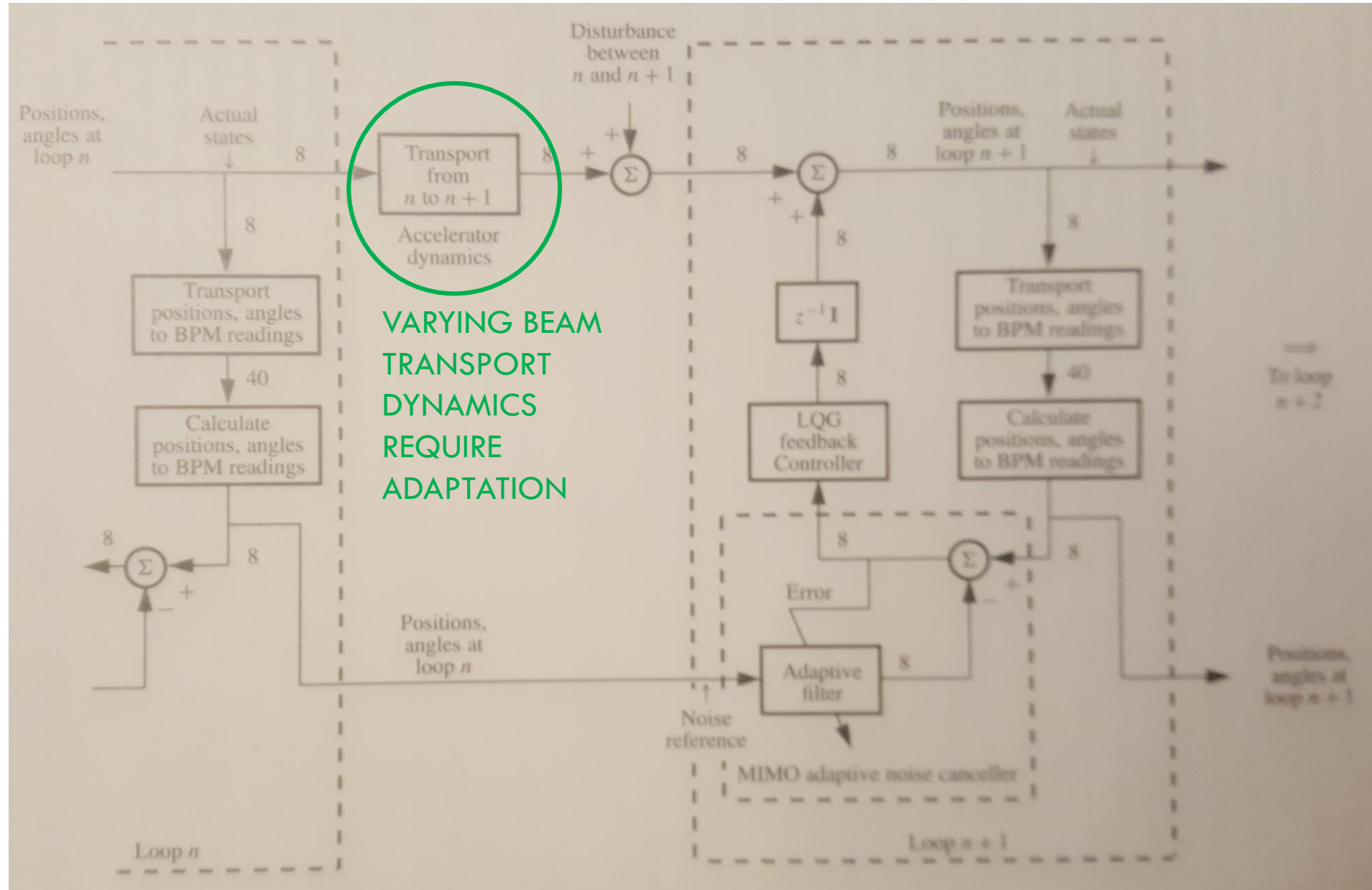
- Beam centering

- Passive: set of 300 Quadrupole electromagnets focus the beam
- Quasi-DC dipole electromagnets (V & H sets near each quadrupole) steer the beam
- Capacitive Beam Position Monitors (set of 300) used to calculate drive amplitudes for the quasi-DC dipole magnets
- 20 Steering feedback loops, in sequence
  - Each controls measures & controls 8 states: position & angle, in V & H, for  $e^-$  and  $e^+$
  - 20 Hz sample & update rate (120 Hz beam pulse rate)



# EXAMPLE: MIMO APPLICATION OF ADAPTIVE-NOISE CANCELATION

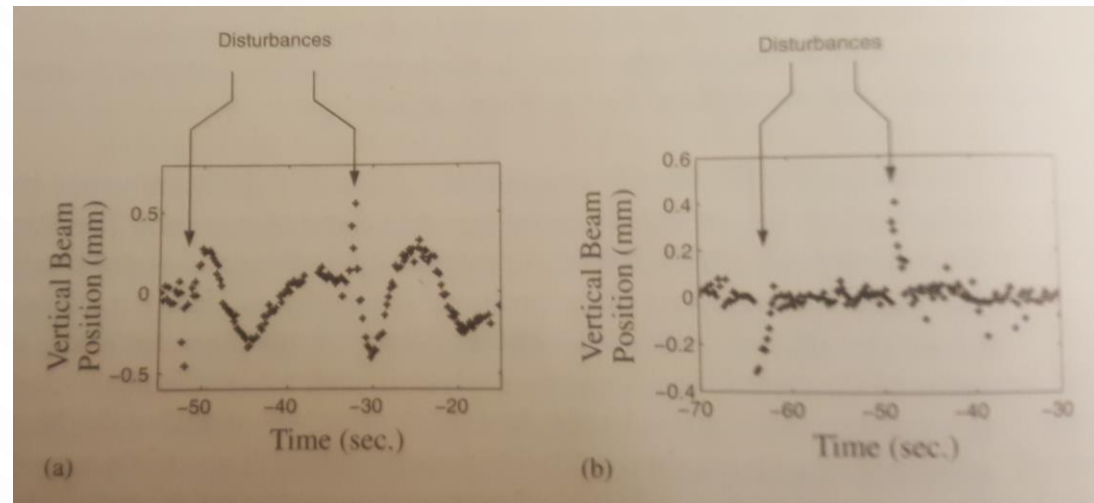
- LQG optimal filters to minimize beam position RMS
- 7 sequential loops
- Consider “upstream” {positions, angles} as noise – Loop  $n$  corrects for these errors, Loop  $n+1$  corrects for errors due to transport (or residuals after Loop  $n$ )





# EXAMPLE: MIMO APPLICATION OF ADAPTIVE-NOISE CANCELATION

- Least Mean Square (LMS) Algorithm for updating the weights (matrix elements)
  - Only stable if the learning rate is less than the inverse of the largest eigenvalue on the input correlation matrix
  - Magnet supply & klystron fluctuations can cause jitter amplitude to increase 10x in short time, hence eigenvalues change proportionally → leads to a low learning rate and slow convergence
  - LMS has different convergence rates for each eigenmode
- Sequential Regression Algorithm (SER)
  - Adaptively estimates the inverse of the correlation matrix
  - Scales the inputs so that all the eigenvalues of the correlation matrix of the scaled inputs are unity (solves both problems of the LMS algorithm)
  - However calculated weights are unstable initially when large updates occur; Delay updating weights until converged



# GW DETECTOR PROBLEMS 'RIPE' FOR ML?

- Angular controls
  - Angular loops introduce noise to DARM by the beam off-centering
  - DC coupling is removed by the coil balancing (angle to length feedforward)
  - AC coupling due to unsuppressed angular motion, and imperfect balancing
  - Bandwidth limited to keep angular control noise injection low
  - Let ML adaptively adjust feedforward gains for the unsuppressed angular motion (ASC error point)? (Essentially a time-varying coil balancing)
- Interferometer Global control parameters
  - Let ML tune up the global controls, just as an operator does ...
  - Blends, Michelson feedforward, ASC bandwidth, bounce/roll servos, ...
  - Based on the seismic noise in a particular band, wind speed, ...
- TCS control
  - Compensate for TM radius of curvature when IFO is locked or transitioning in and out of lock
  - Let ML discover the model, or predictor, for TM thermal lens
- Others?