

Exploring shell structure of nuclides in proximity of doubly-magic ^{132}Sn

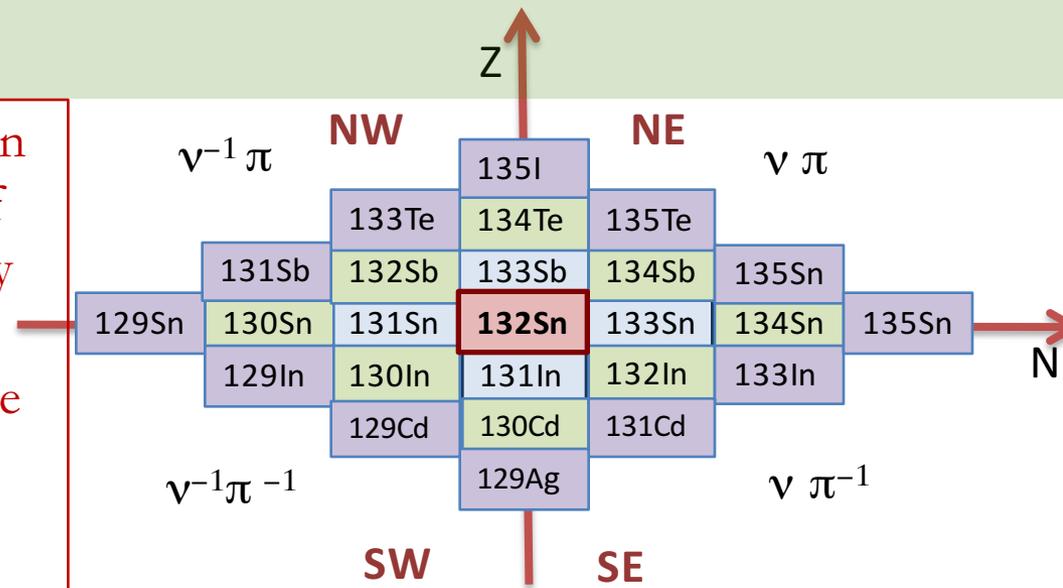


Angela Gargano, INFN Napoli

Why ^{132}Sn region?

The only region around a heavy, neutron rich doubly-closed shell nucleus far-off stability experimentally accessible today

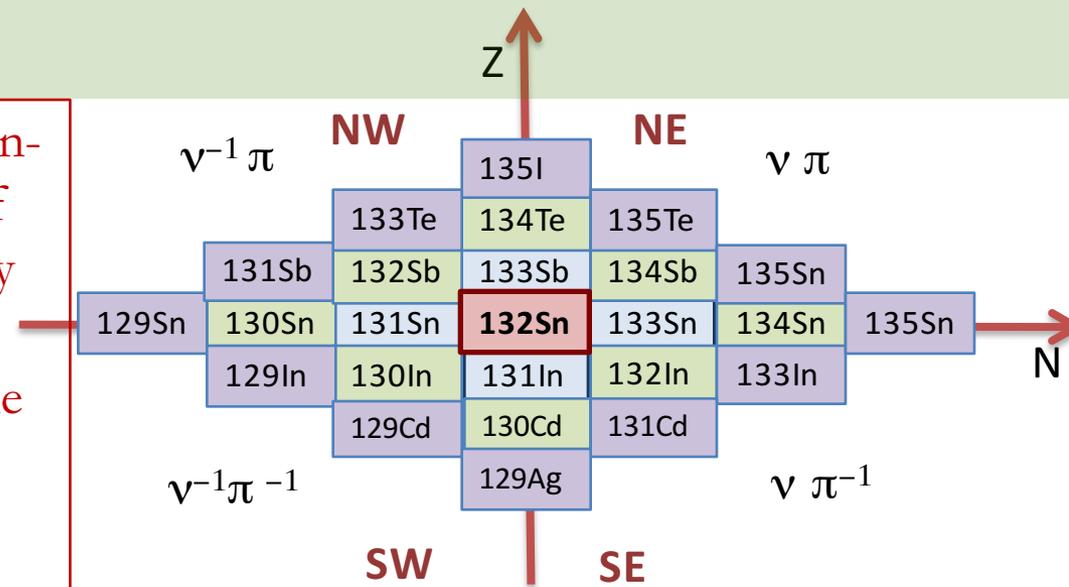
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- is of great relevance (especially nuclei with $Z < 50$) for the description of the rapid neutron capture process of nucleosynthesis



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Experimental information → allows us to test nuclear models
(for shell model: single-particle energies, two-body matrix elements of the residual interaction and effective electromagnetic operators) **and to ascertain their capability to provide reliable predictions for nuclei**

- ✓ which are still inaccessible for present experiments
- ✓ involved in $0\nu 2\beta$ decay (^{130}Te , ^{136}Xe)

The "realistic" Shell Model

$$H_{\text{eff}} \psi_{\alpha} = H_0 + V_{\text{eff}} \psi_{\alpha} = E_{\alpha} \psi_{\alpha} \quad \text{with } H_0 = T + U$$

in the model space for only valence nucleons

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$$V_{NN} (+V_{NNN}) \Rightarrow \text{many-body theory} \Rightarrow H_{\text{eff}}$$

Definition [for 2 valence-nucleon systems]

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H_{eff} takes into account in an effective way all the degrees of freedom not considered explicitly: namely core nucleons and excitations of valence nucleons into the shells above the model space

Flow chart of a RSMC

- Choice of the free NN potential
- Choice of the model space better tailored to study the system under investigation
- Derivation of the effective Hamiltonian making use of many-body theory
- Diagonalization of the Hamiltonian matrix & calculations of physical observables as energies, electromagnetic transition probabilities*, ...

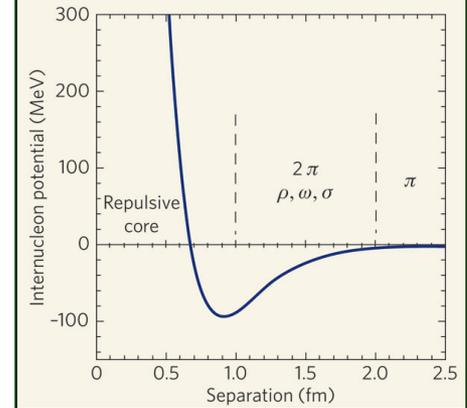
*Need to use microscopic effective operators consistent with the effective Hamiltonian

1st step: choice of the NN potential

Several realistic potentials $\chi^2/datum \simeq 1$:
CD-Bonn, Argonne V18, Nijmegen, ...

or derived by the chiral effective field theory

short-range repulsion

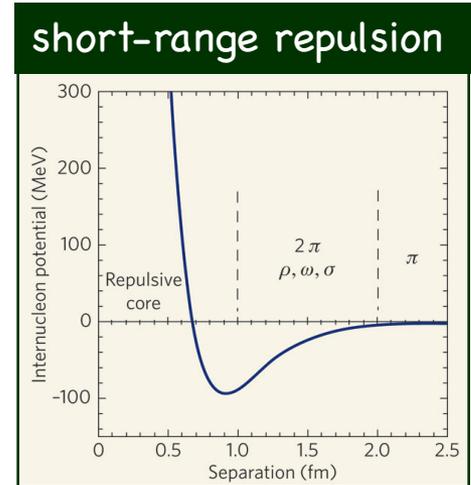


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- normalization procedure for V_{NN}



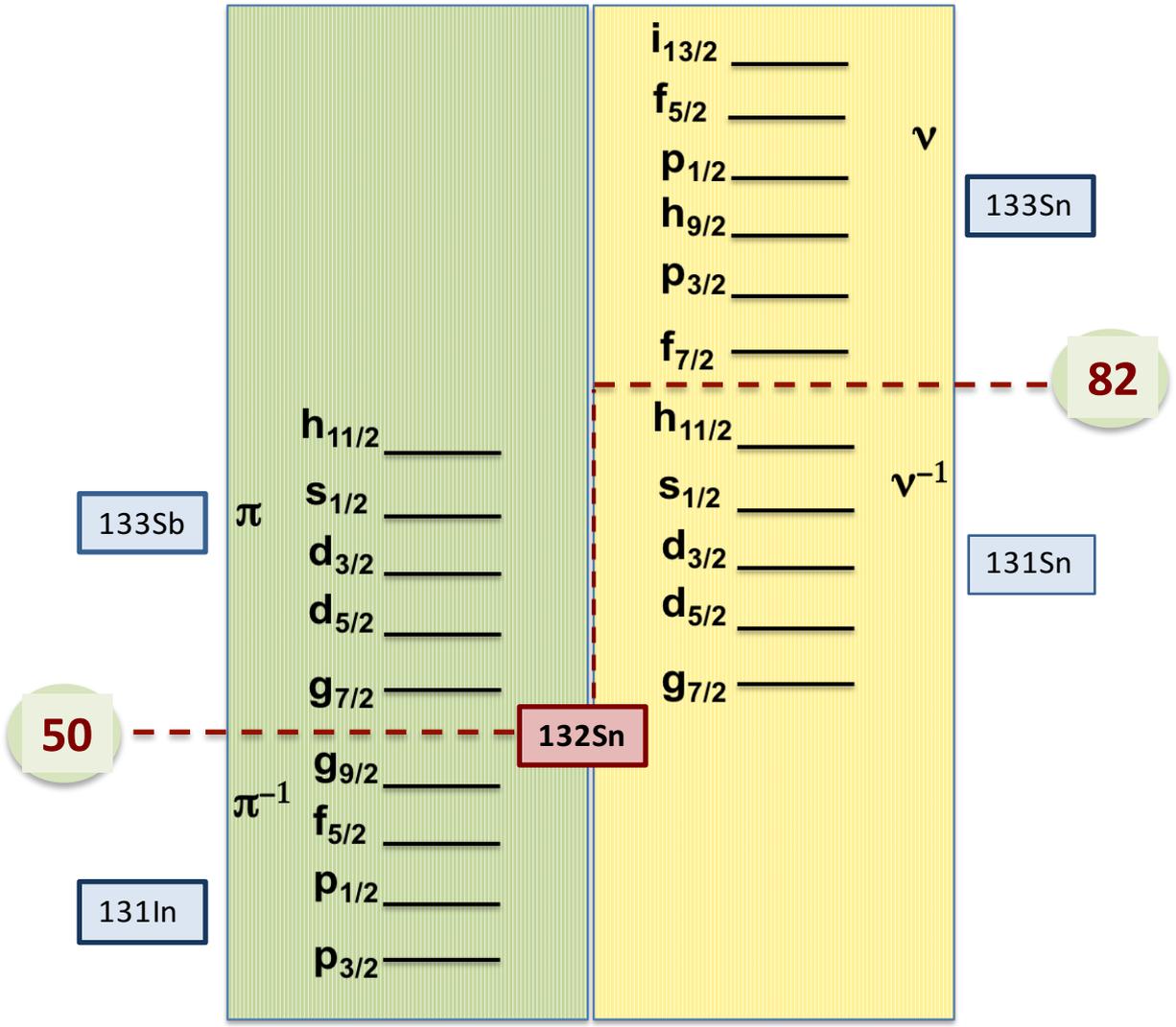
- low momentum potentials:

 - ✓ $V_{\text{low-k}}$

 - preserves the properties of the original NN potential up to a momentum-space cutoff Λ

 - ✓ chiral potentials defined for momenta below a low cutoff

2nd step: choice of the model space



3rd step: derivation of the effective interaction by the folded diagram method

H_{eff} is written as a series in terms of the \hat{Q} - box and its derivatives.
For instance

$$H^{\text{eff}} = \sum_{i=0}^{\infty} F_i,$$

where

$$F_0 = \hat{Q}(\epsilon_0)$$

$$F_1 = \hat{Q}_1(\epsilon_0)\hat{Q}(\epsilon_0)$$

$$F_2 = \hat{Q}_2(\epsilon_0)\hat{Q}(\epsilon_0)\hat{Q}(\epsilon_0) + \hat{Q}_1(\epsilon_0)\hat{Q}_1(\epsilon_0)\hat{Q}(\epsilon_0)$$

....

$$\hat{Q}(\epsilon) = PH_1P + PH_1Q \frac{1}{\epsilon - QHQ} QH_1P.$$

where $H_1 = V_{\text{low-k}} - U$; $P = \text{model space}$; $Q = 1 - P$; $\epsilon = PH_0P$;

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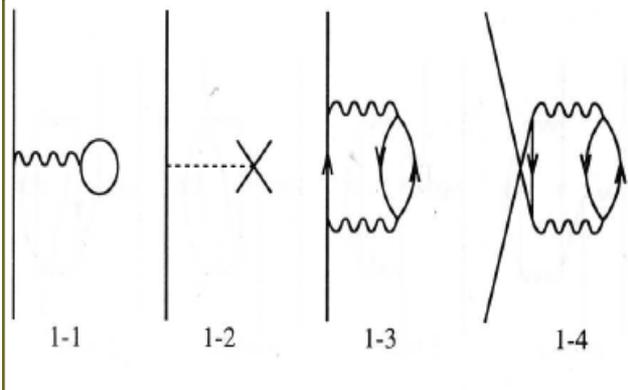
The series is summed by iterative techniques
(Krengelowa-Kuo, Lee-Suzuki)

Perturbative calculation

The diagrammatic expansion of the \hat{Q} -box

1-body diagrams up to 2nd order

S-box



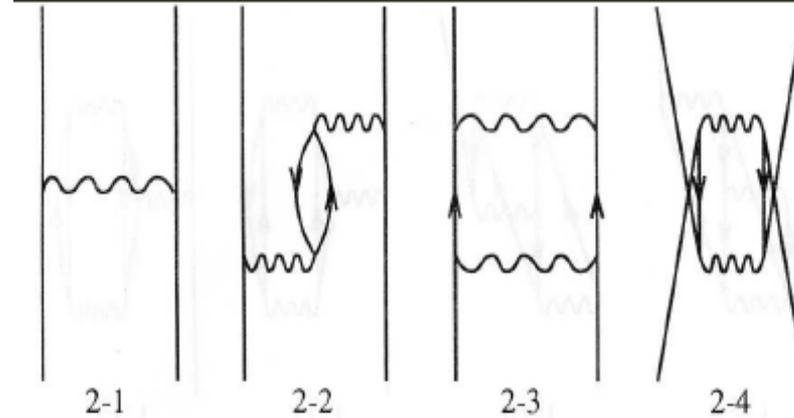
2-body diagrams up to 2nd order:

V

V_{1p1h}

V_{2p}

V_{2p2h}



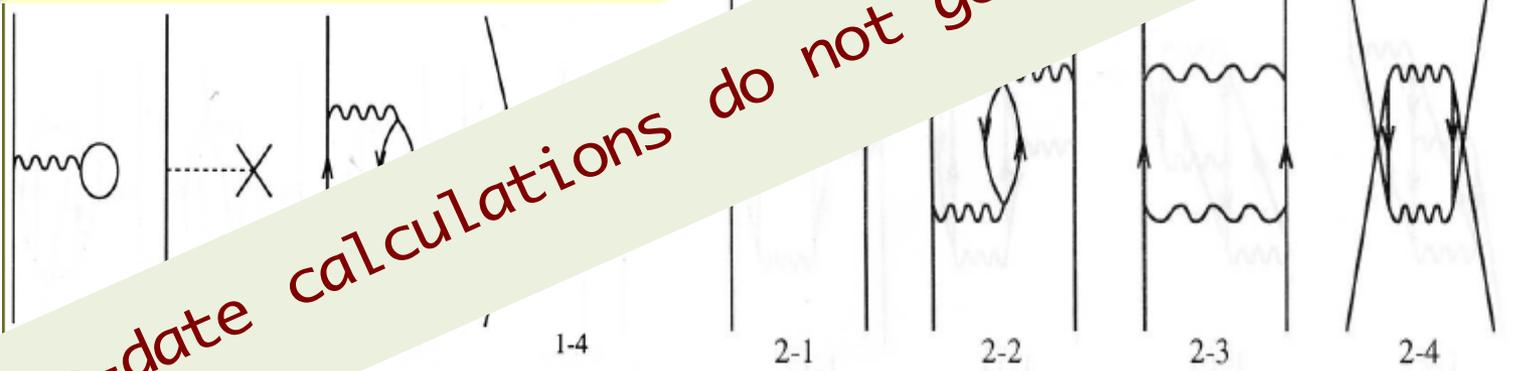
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2-body diagrams up to 2nd order
V V

2p2h



up-to-date calculations do not go beyond third order!

Results in ^{132}Sn region

CD-Bonn

$V_{\text{low-k}}$

$(\Lambda=2.2 \text{ fm}^{-1}) + \text{Coulomb interaction}$

V_{eff} @ second order

Model space: one major shell for
protons/neutrons

with SP energies from experiment

Realistic shell-model studies around ^{132}Sn

F. Andreozzi, L. Coraggio, A. Covello, A. Gargano, T.T.S. Kuo, and A. Porrino, *Structure of neutron-rich nuclei around ^{132}Sn* , Phys. Rev. C **56**, R16 (1997)

Energy spectra and electromagnetic properties of nuclei below and above $Z=50$

Behavior of odd- even mass staggering around ^{132}Sn

Evolution of single-particle states beyond ^{132}Sn

Mixed-symmetry states

Predictions for exotic Sn isotopes with $N>82$

Proton-neutron multiplets

Similarity of nuclear structure in the ^{132}Sn and ^{208}Pb regions

Role of three-nucleon forces in neutron-rich nuclei beyond ^{132}Sn

**satisfactory description of nuclear structure properties,
although some problems still remain to be solved**

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➤ $1/2^+ \rightarrow 3/2^+$ M1 transition in ^{129}Sn

➤ $(\pi g_{9/2})^{-1} \otimes \nu f_{7/2}$ multiplet in ^{132}In

- R. Liča, H. Mach, L. M. Fraile, A. Gargano *et al*, *Fast-timing study of the l-forbidden $1/2^+ \rightarrow 3/2^+$ M1 transition in ^{129}Sn* , Phys. Rev. C **93**, 044303 (2016)
- A. Jungclaus, A. Gargano *et al*, *First observation of γ rays emitted from excited states south-east of ^{132}Sn : The $(\pi g_{9/2})^{-1} \otimes \nu f_{7/2}$ multiplet of $^{132}\text{In}_{83}$* , Phys. Rev. C **93**, 041301(R) (2016)

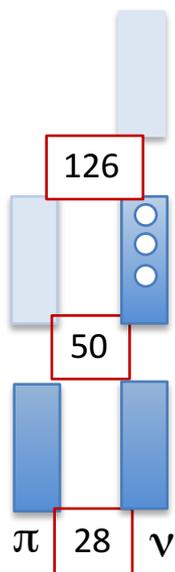
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β^- decay of ^{129}In isomers @ ISOLDE

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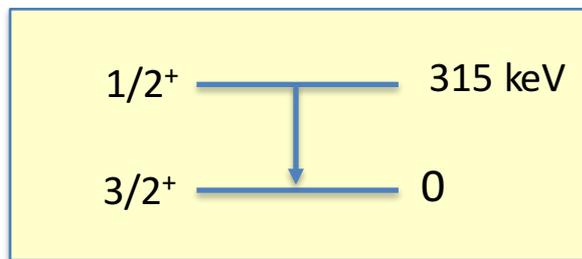
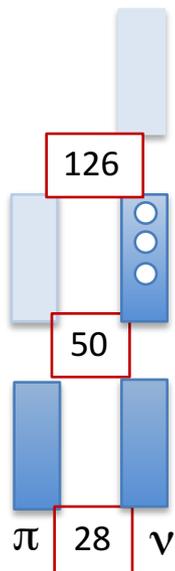
$^{129}\text{Sn} \longleftrightarrow$ 3 neutron holes in the 50-82 shell



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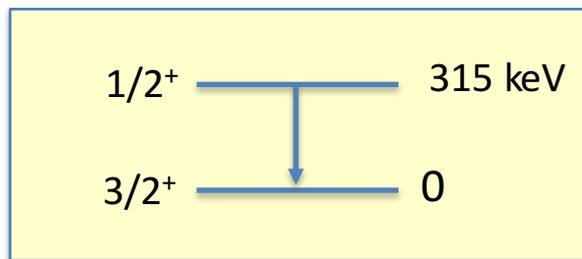
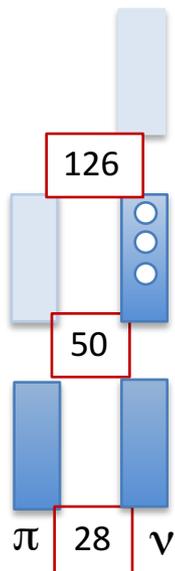
^{129}Sn	
$3/2^+$	$(1d_{1/2})^{-1}$
$1/2^+$	$(2s_{1/2})^{-1}$

slow l forbidden ($\Delta l=2$) $M1$ transition
 E2 transition hindered

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$1/2^+$ $T_{1/2} = 19(10)$ ps \rightarrow (assuming a pure M1 transition)
 $B(M1; 1/2^+ \rightarrow 3/2^+) = 6.4(30) \times 10^{-2} \mu_N^2$

Relatively fast M1 transition

Fast-timing study of the l -forbidden $1/2^+ \rightarrow 3/2^+$ $M1$ transition in ^{129}Sn

E_{exc} (in keV)		
	Calc	Expt
$1/2^+$	294	315

Percentage of the wf configurations $3/2^+ \rightarrow (1d_{3/2})^{-1} (nlj)^{-2}$ & $1/2^+ \rightarrow (2s_{1/2})^{-1} (nlj)^{-2}$					
J^π	$(nlj)^{-2}$				
	$(0h_{11/2})^{-2}$	$(1d_{3/2})^{-2}$	$(2s_{1/2})^{-2}$	$(1d_{5/2})^{-2}$	$(0g_{7/2})^{-2}$
$3/2^+$	69%	12%	8%	6%	5%
$1/2^+$	60%	27%	7%		5%

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$$e^{\text{eff}} = 0.7e$$

$$g_l^{\text{free}} = 0, g_s = 0.7g_s^{\text{free}} = -2.68$$

$B(E2; 1/2^+ \rightarrow 3/2^+)$	$B(M1; 1/2^+ \rightarrow 3/2^+)$
$32.89 e^2 \text{ fm}^4$	$0.58 \times 10^{-4} \mu_N^2$

two order of magnitude larger than the experimental value
 $T_{1/2} = 19(10) \text{ ps}$

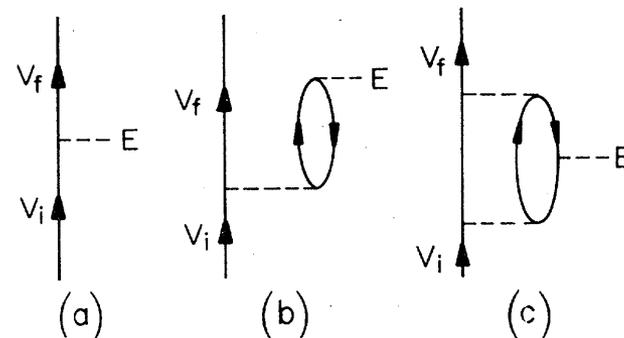
$T(E2)$	$T(M1)$	$T_{1/2}$
$0.13 \times 10^9 \text{ s}^{-1}$	$0.03 \times 10^9 \text{ s}^{-1}$	4 ns

Fast-timing study of the l -forbidden $1/2^+ \rightarrow 3/2^+$ $M1$ transition in ^{129}Sn

$M1$ effective operator

with core excitations microscopically taken into account by means of many-body perturbation theory, consistently with the derivation of the effective two-body interaction

Perturbation expansion: some diagrams



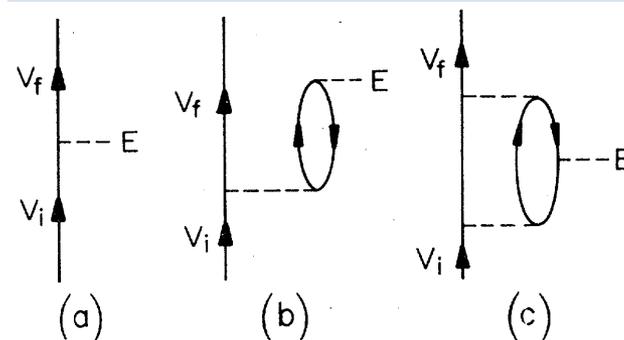
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TABLE III. Comparison between the single-hole neutron $M1$ matrix elements (in μ_N) obtained using g factors $g_l^{\text{free}} = 0$, $g_s = -2.68$ (I), and those of the effective $M1$ operator (II) (see text for details).

a	b	$\langle a M1 b \rangle_{\text{(I)}}$	$\langle a M1 b \rangle_{\text{(II)}}$
$0g_{7/2}$	$0g_{7/2}$	1.65	1.36
$0g_{7/2}$	$1d_{5/2}$	0	0.15
$1d_{5/2}$	$1d_{5/2}$	-1.92	-1.89
$1d_{5/2}$	$1d_{3/2}$	2.05	1.88
$1d_{3/2}$	$1d_{3/2}$	1.02	1.05
$1d_{3/2}$	$2s_{1/2}$	0	0.10
$2s_{1/2}$	$2s_{1/2}$	-1.62	-1.61
$0h_{11/2}$	$0h_{11/2}$	-2.49	-2.48

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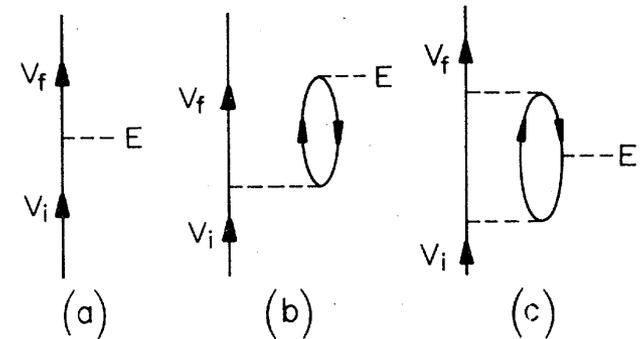
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Perturbation expansion: some diagrams



OBTD:

$$(3)^{-1/2} \langle 3/2^+ || [a_{d_{3/2}^+} \otimes a_{s_{1/2}}]^1 || 1/2^+ \rangle \sim 0.9$$

Fast-timing study of the l -forbidden $1/2^+ \rightarrow 3/2^+$ $M1$ transition in ^{129}Sn **M1 effective operator**

$B(M1; 1/2^+ \rightarrow 3/2^+)$	$T(M1)$
$0.55 \times 10^{-2} \mu_N^2$	$3.42 \times 10^9 \text{ s}^{-1}$

$$T_{1/2} = 200 \text{ ps}$$



20 times shorter than the $T_{1/2}$ obtained with empirical g factors and closer to the experimental value [19(10)ps]

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E2?

No substantial change is produced by using a microscopic effective E2 operator!

Effective charge for $\langle 1d_{3/2} || E2 || 2s_{1/2} \rangle \sim 0.8$ ➤ an increase in $T(E2)$ slightly > 1

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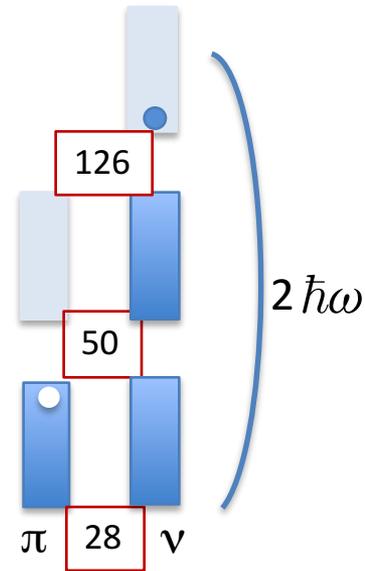
An enhancement of the T (E2) similar to the one obtained for the M1 transition would require a neutron effective charge equal to 10, a value without any physical meaning!!

→ the $T_{1/2}(1/2^+)$ arises essentially from the M1 transition

→ the still existing difference between the experimental and calculated half-life may be from higher-order diagrams not included in the calculation of the M1 effective operator

First observation of γ rays emitted from excited states south-east of ^{132}Sn :
 The $\pi g_{9/2}^{-1} \otimes \nu f_{7/2}$ multiplet of $^{132}\text{In}_{83}$

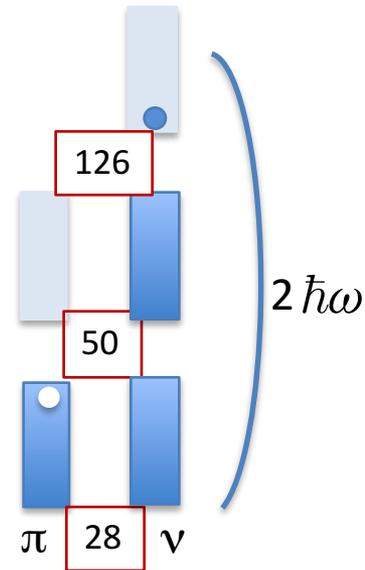
^{132}In \longleftrightarrow **1 proton hole in the 28-50 shell +
 1 neutron particle in the 50-82 shell**



Identification of the first-excited states in ^{132}In SE of ^{132}Sn
 $[(\pi g_{9/2})^{-1} \otimes \nu f_{7/2}] J^\pi = 1^- \dots 8^-$

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Unique study case in the table of isotopes:

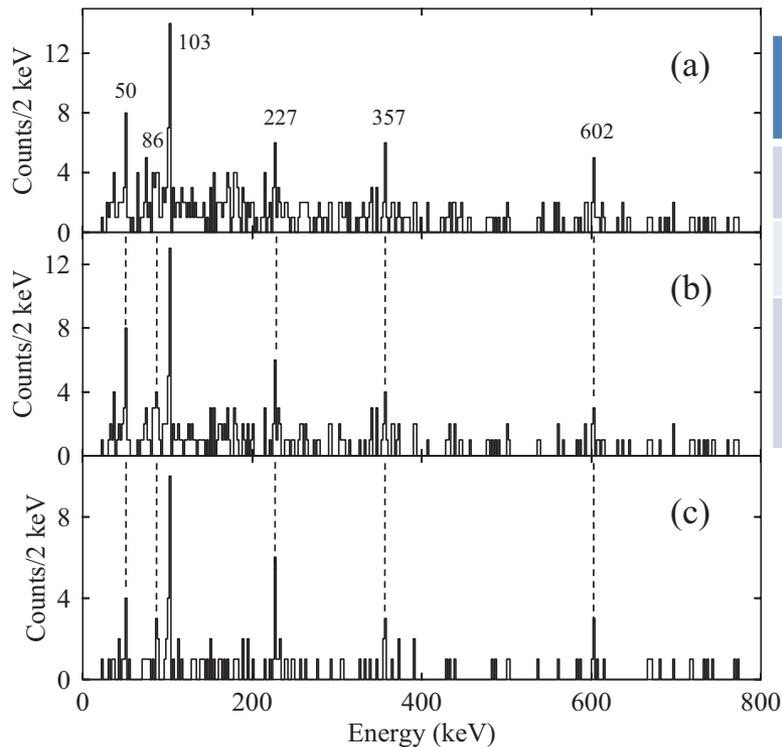
- the corresponding multiplets south-east of ^{78}Ni and ^{42}Si are currently not accessible for experimental studies
- the $(\pi 0h_{11/2})^{-1} \otimes \nu 1g_{9/2}$ multiplet in ^{208}Tl is distorted by the presence of the $2s_{1/2}$ and $1d_{3/2}$ proton orbitals

**First observation of γ rays emitted from excited states south-east of ^{132}Sn :
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β -delayed neutron emission from ^{133}Cd @ RIBF of RIKEN

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γ -ray spectra in prompt coincidence with decay events during the first 200 ms after the implantation of a ^{133}Cd ion

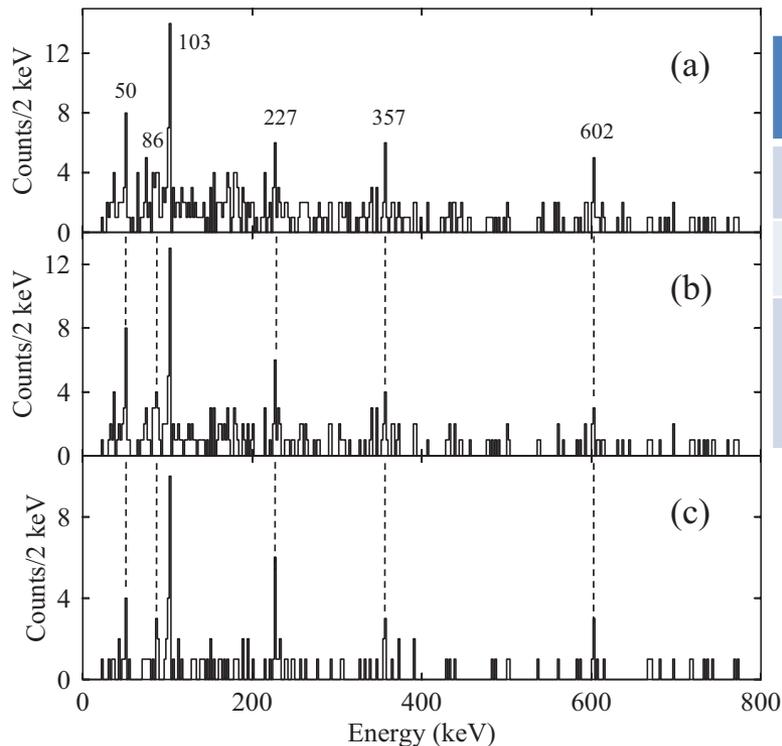
a Without further condition

b requiring multiplicity one in the γ -ray detector

c b +strict spatial correlation decay took place either in the Si detector in which the ion was implanted or in the one in front or behind

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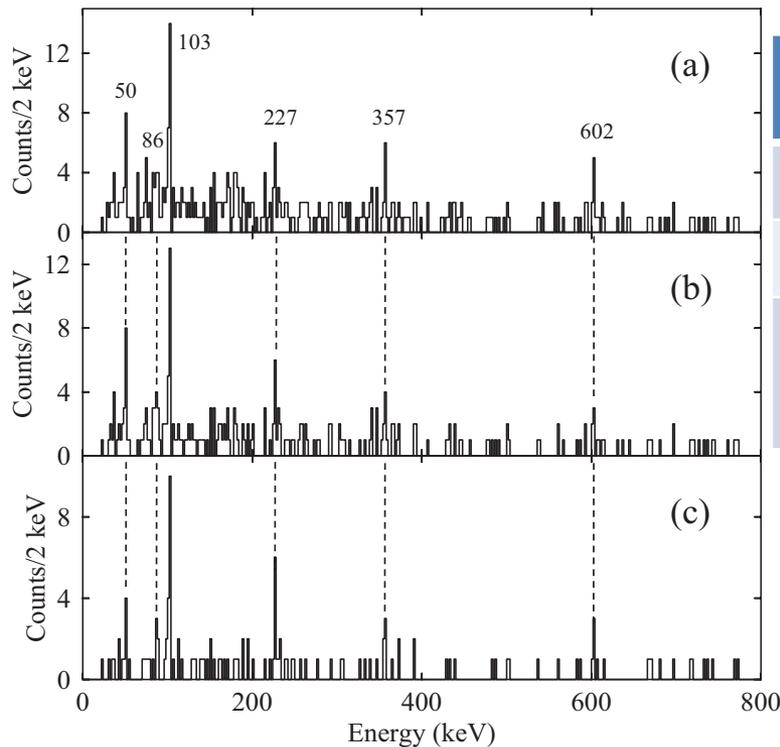
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**Six lines at energies of
 50, 86, 103, 227, 357, 602 keV**

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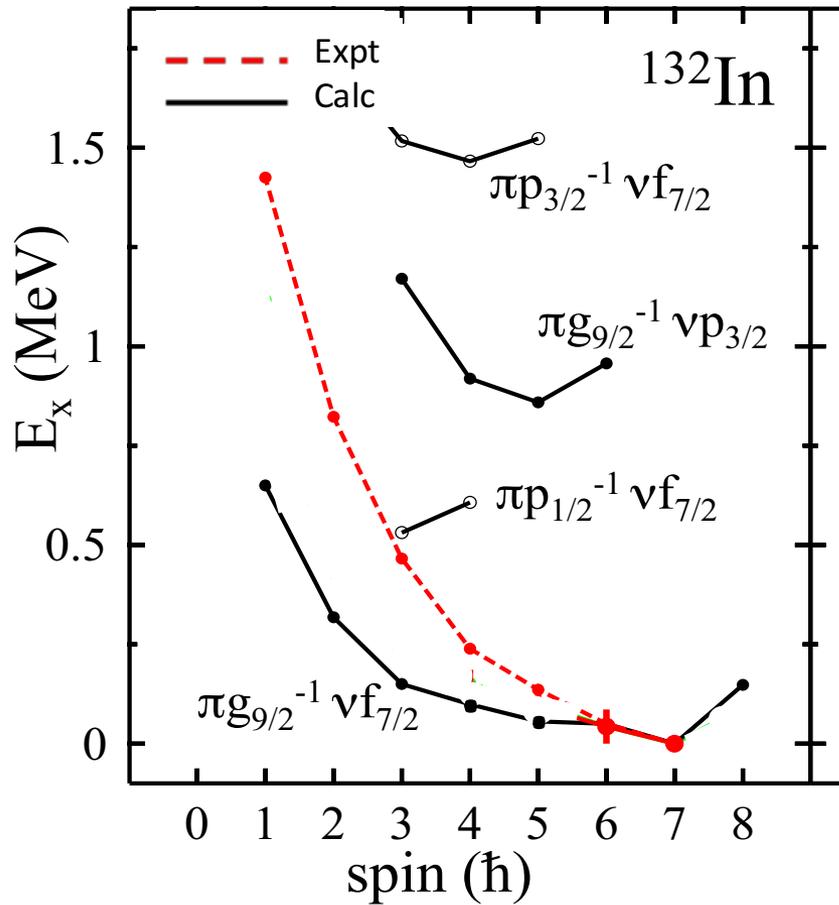
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The statistics accumulated are very limited so that no conclusive $\gamma\gamma$ coincidence information could be obtained

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The $\pi g_{9/2}^{-1} \otimes \nu f_{7/2}$ multiplet of $^{132}\text{In}_{83}$



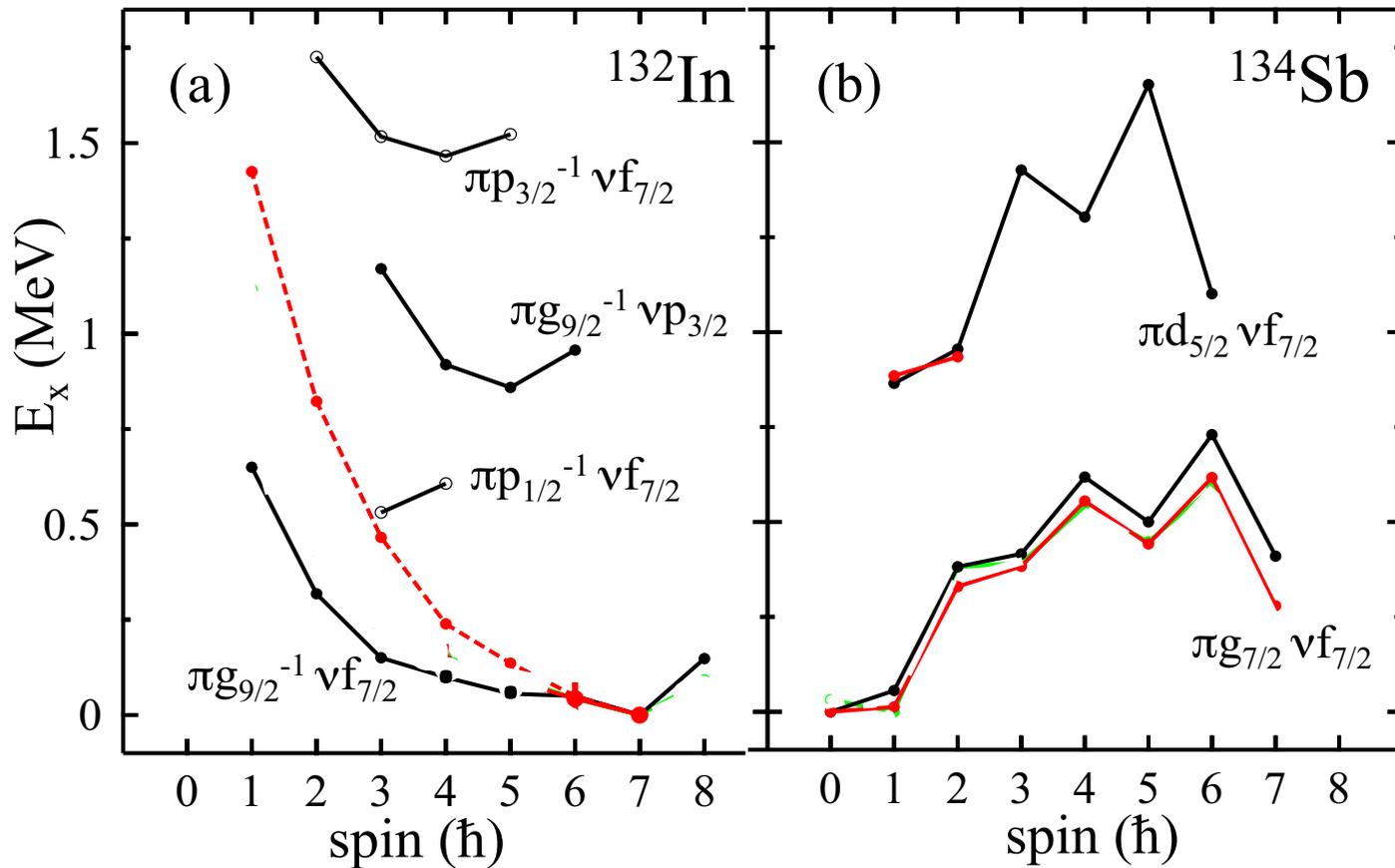
Assuming that the six observed γ rays correspond to the expected cascade of M1 transitions from the 1^- to the 7^- member of the $(\pi g_{9/2})^{-1} \otimes \nu f_{7/2}$ multiplet



The experimental energies are systematically higher than the calculated ones, leading to a total energy spread which is twice as large as theoretically predicted

average difference between experimental and calculated excitation energies is ~ 300 keV

First observation of γ rays emitted from excited states south-east of ^{132}Sn :
 The $\pi g_{9/2}^{-1} \otimes \nu f_{7/2}$ multiplet of $^{132}\text{In}_{83}$

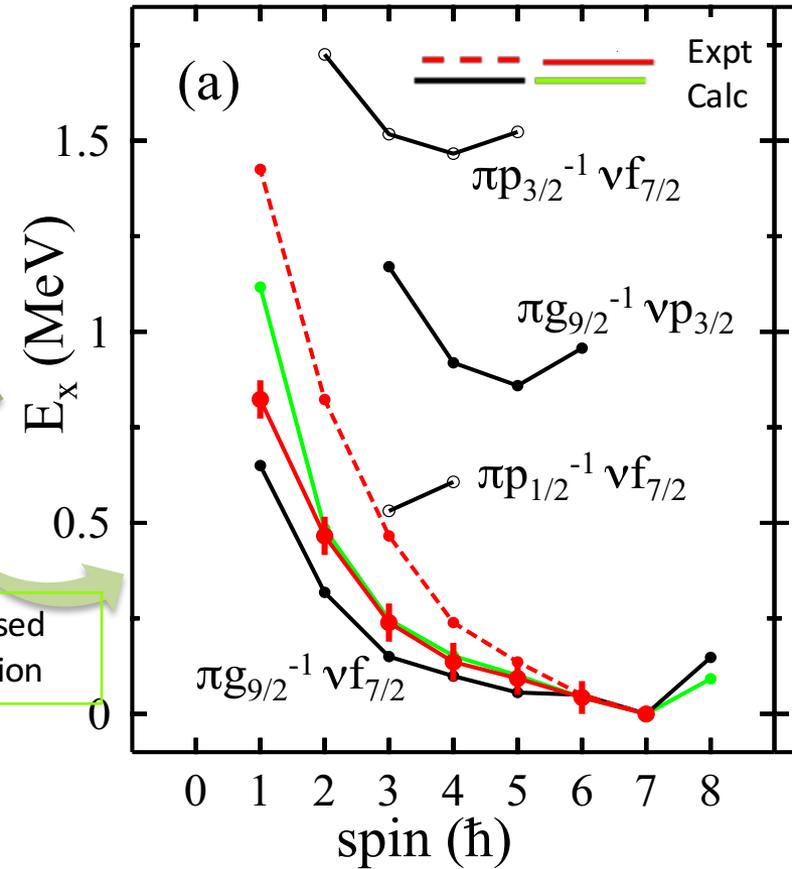


In ^{134}Sb , average difference between experimental and calculated level energies amounts to less than 10% of the SM energy spread

First observation of γ rays emitted from excited states south-east of ^{132}Sn :
 The $\pi g_{9/2}^{-1} \otimes \nu f_{7/2}$ multiplet of $^{132}\text{In}_{83}$

Assuming that one of the lowest transitions within the multiplet is unobserved and adopting an energy of 25 ± 25 keV for this transition

— SM results with effective interaction based on a scaling of TBMEs from the ^{208}Pb region

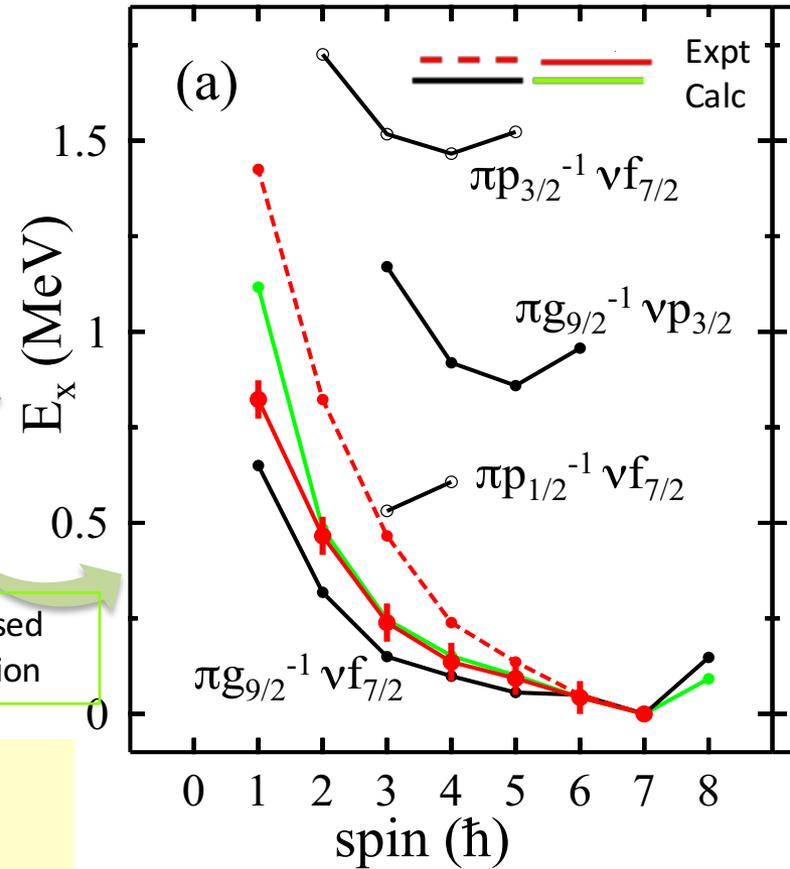


First observation of γ rays emitted from excited states south-east of ^{132}Sn :
 The $\pi g_{9/2}^{-1} \otimes \nu f_{7/2}$ multiplet of $^{132}\text{In}_{83}$

Assuming that one of the lowest transitions within the multiplet is unobserved and adopting an energy of 25 ± 25 keV for this transition

— SM results with effective interaction based on a scaling of TBMEs from the ^{208}Pb region

The resulting excitation energies are much closer to the SM predictions and the average difference drops to 80 keV, i.e., 12% of the SM energy spread



Conclusions

- Substantial progress has been made toward a microscopic derivation of the shell-model effective interaction
- RSMC have proved to lead to an accurate description of the structure of nuclei in ^{132}Sn regions, which makes us confident in their predictive power for physical quantities not yet measured

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- Substantial progress has been made toward a microscopic derivation of the shell-model effective interaction
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For a better assessment of RSMC we certainly need

- ✓ **more comprehensive experimental information**
- ✓ **to improve and extend the range of applicability of RSMC by addressing some specific questions**

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Thanks for your attention!