

K^-
**Investigation of the low-energy kaons hadronic
interactions in light nuclei by AMADEUS**

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INFN, Laboratori Nazionali di Frascati

on behalf of the **AMADEUS** collaboration

ISU 2015 "Quest for visible and invisible strange stuff in the
Universe"

LNF, INFN, Frascati 27/11/2015

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Study of Strongly Interacting Matter



Why low-energy kaons hadronic interactions study?

K^-

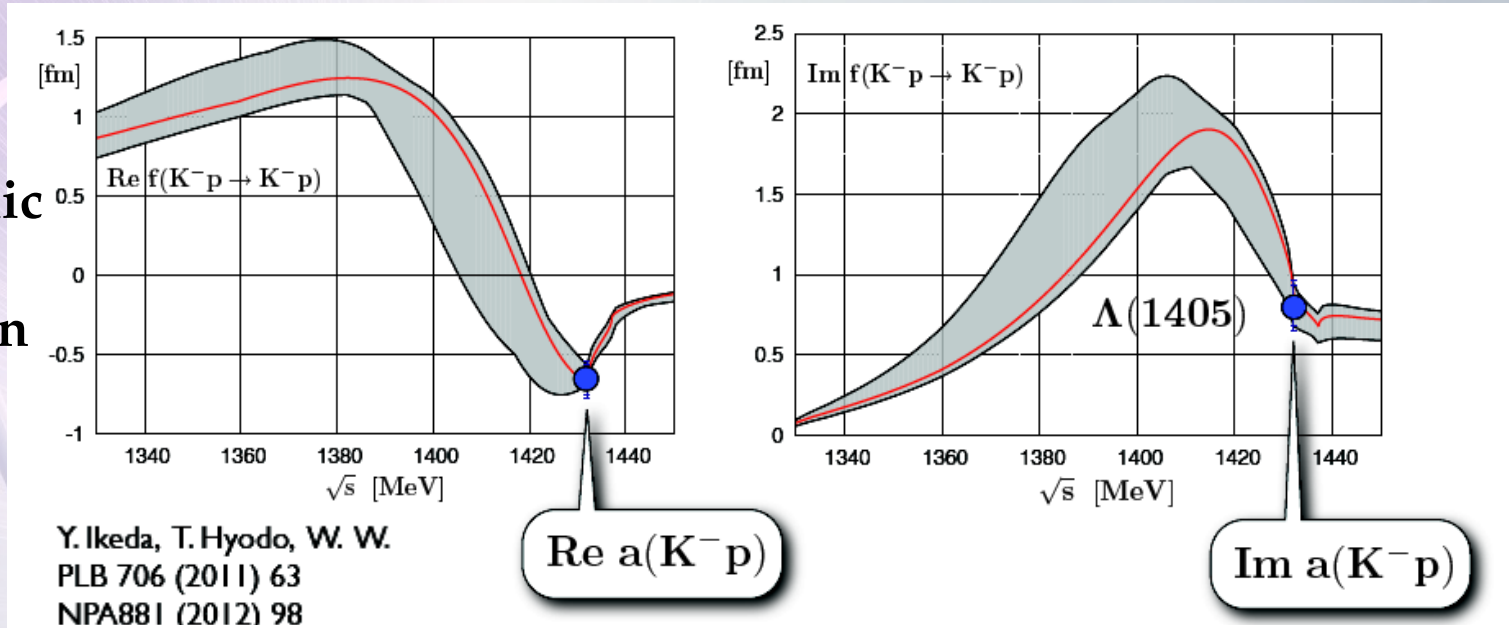


- Strange quarks are intermediate between “light” and “heavy”:
interplay between
spontaneous and explicit chiral symmetry breaking
in low-energy QCD
 - BUT chiral perturbation theory not applicable
 - high-precision antikaon-nucleon threshold physics test ground for
the different theoretical approaches
- exploiting the attractive low energy $\bar{K} N$ interaction

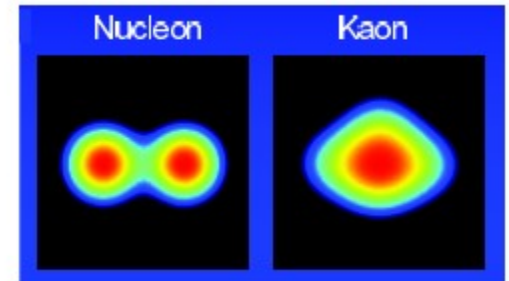
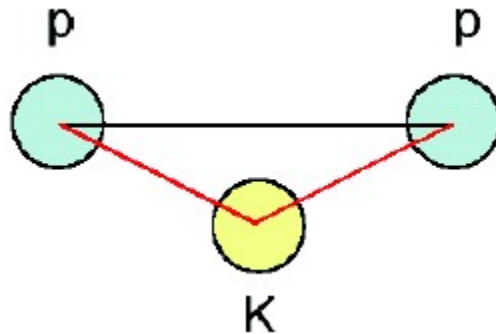
Why low-energy kaons hadronic interactions?

K^-

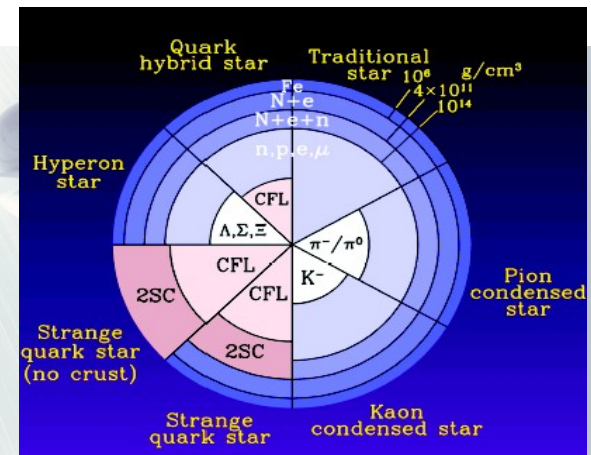
- K^- -p scattering, kaonic atoms & $\Lambda(1405)$ structure investigation



- Quest for quasi-bound K^- -NN/NNN systems



- Role of strangeness in dense baryonic matter, kaon condensation? Strange quark matter? Hyperons in NS?



K^-

Framework: Low-Energy QCD with Strange Quarks

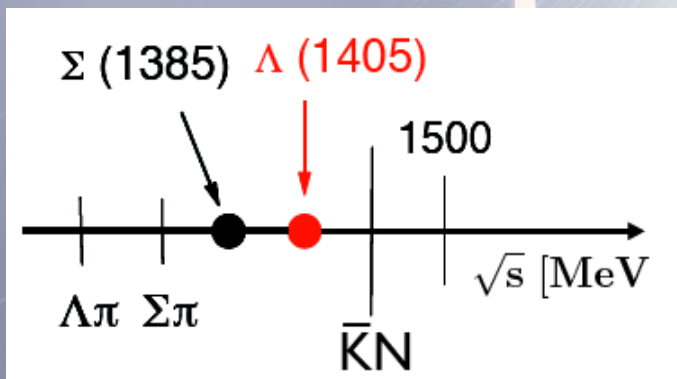
CHIRAL PERTURBATION THEORY
Interacting systems of **NAMBU-GOLDSTONE BOSONS**
(pions, kaons) coupled to **BARYONS**

$$\mathcal{L}_{eff} = \mathcal{L}_{mesons}(\Phi) + \mathcal{L}_B(\Phi, \Psi_B)$$

works well for low-energy pion-pion and pion-nucleon interactions

... but **NOT** for systems with strangeness $S = -1$

BECAUSE $\Lambda(1405)$ just below K^-N threshold (1432 MeV)



Solutions:

- **Non-perturbative Coupled Channels approach based on Chiral SU(3) Dynamics**
- **phenomenological $\bar{K}N$ and NN potentials**

The scientific goal of AMADEUS

K^-

Low energy QCD in strangeness sector is still waiting for experimental conclusive constrains on:

- 1) **\bar{K} -N potential** → how deep can an antikaon be bound in a nucleus?
 - U_{KN} strongly affects the position of the $\Lambda(1405)$ state → we investigate it through $(\Sigma-\pi)^0$ decay --- $Y \pi$ CORRELATION
 - if U_{KN} is strongly attractive then possible K^- multi-N bound states → we investigate through $(\Lambda/\Sigma-N)$ decay --- $Y N$ CORRELATION

- 2) **Y -N potential** → extremely poor experimental information from scattering data
 - U_{YN} determines the strength of the final state YN (elastic & inelastic) scattering in nuclear environment → could be tested by $Y N$ CORRELATION

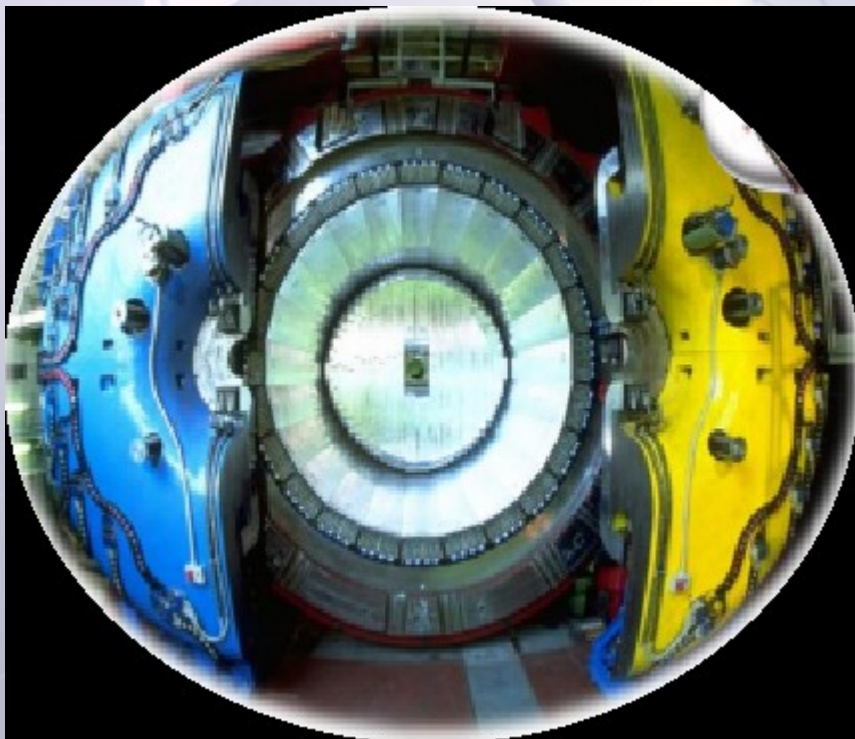
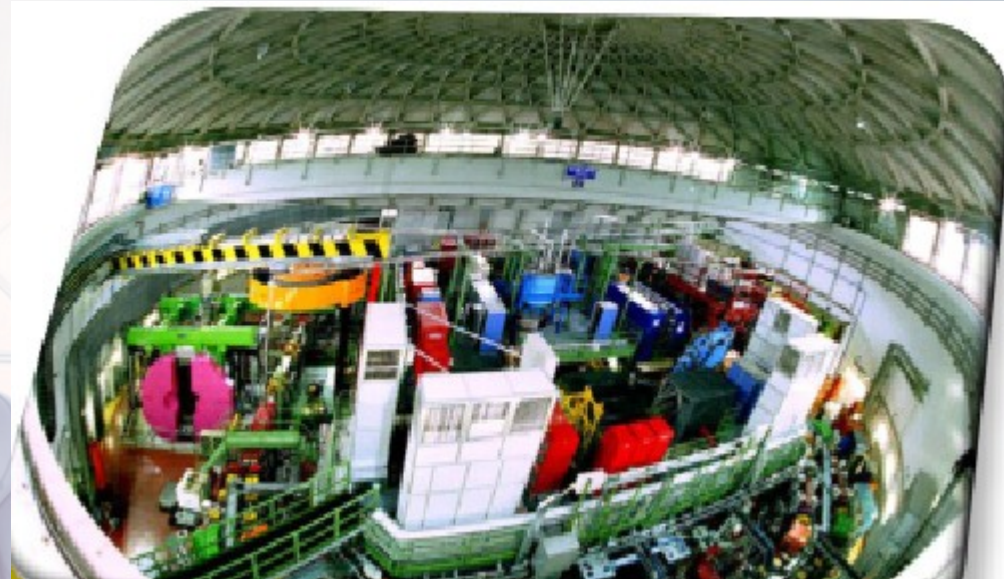
AMADEUS & DAΦNE

K^- DAΦNE at LNF, INFN

Double ring $e^+ e^-$ collider working in C. M.
energy of ϕ , producing $\approx 600 K^+ K^- /s$

$\phi \rightarrow K^+ K^-$ (BR = $(49.2 \pm 0.6)\%$)

- **low momentum** Kaons
 $\approx 127 \text{ Mev}/c$
- **back to back** $K^+ K^-$ topology



KLOE

- 96% acceptance,
- optimized in the energy range of all charged particles involved
- good performance in detecting photons (and neutrons checked by kloNe group (M. Anelli et al., Nucl Inst. Meth. A 581, 368 (2007)))

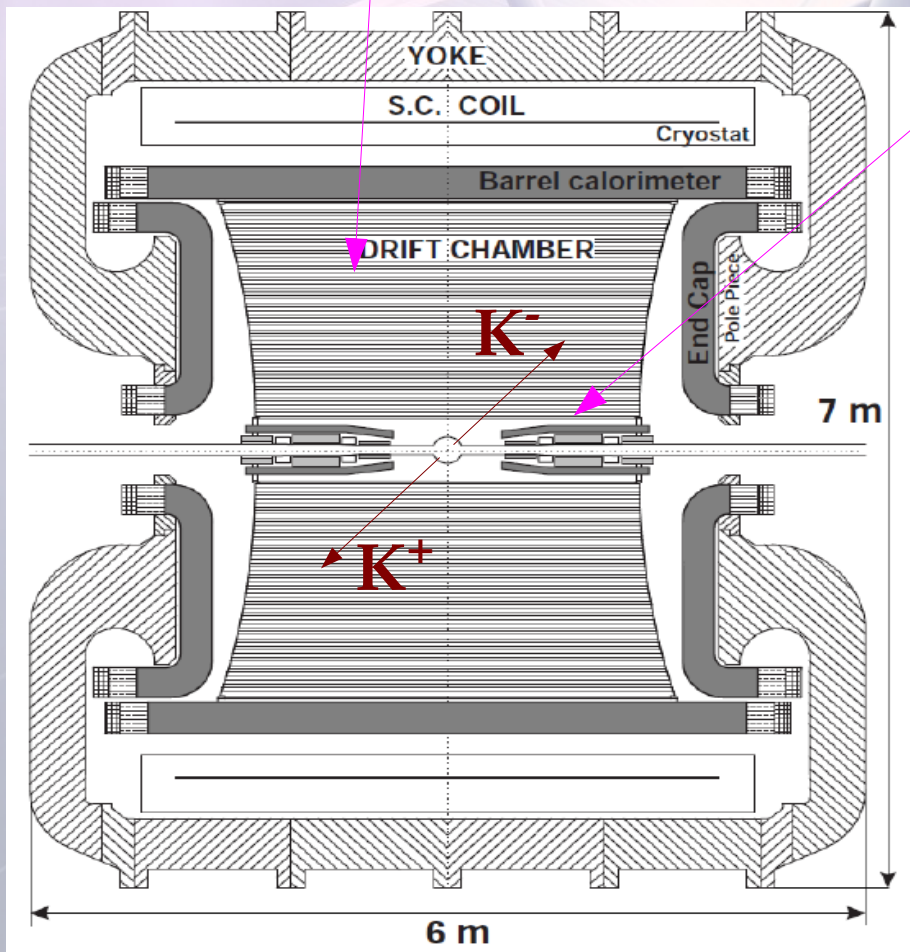
How to do that? ... K^- absorption on light nuclei

K^-

from the materials of the KLOE detector

DC gas (90% He, 10% C_4H_{10}) & DC wall (C + H)

AT-REST (K^- absorbed from atomic orbit) or IN-FLIGHT
($p_K \sim 100 \text{ MeV}$)



Advantage:

excellent resolution ..

$$\sigma_{p\Lambda} = 0.49 \pm 0.01 \text{ MeV}/c \text{ in DC gas}$$

$$\sigma_{m\gamma\gamma} = 18.3 \pm 0.6 \text{ MeV}/c^2$$

Disadvantage:

Not dedicated target \rightarrow **different nuclei contamination** \rightarrow complex interpretation .. but
 \rightarrow **new features .. K^- in flight absorption.**

How to do that? ... K^- absorption on light nuclei

K^-

AT-REST

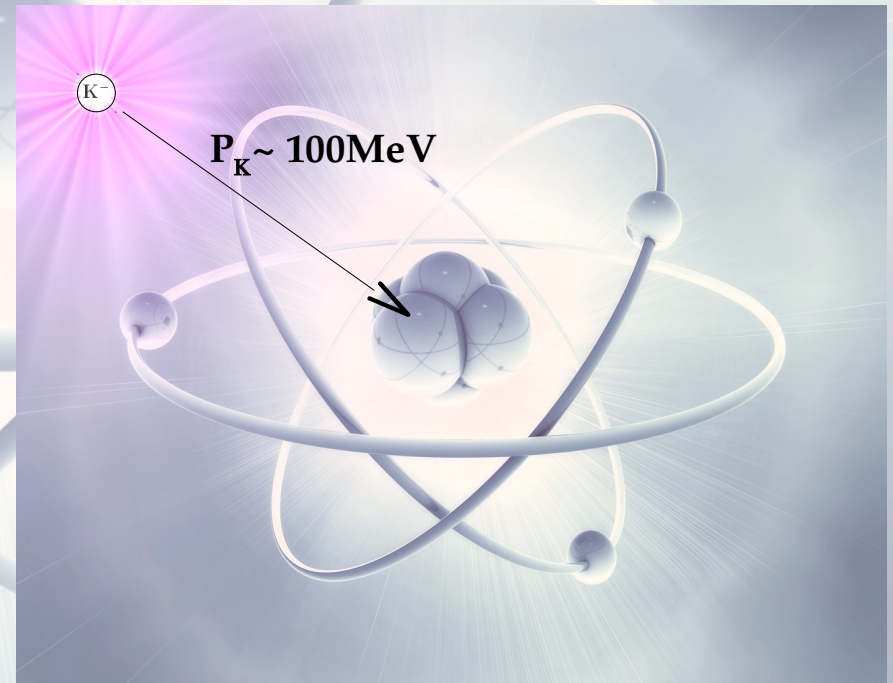
K^- absorbed from atomic orbit

($p_K \sim 0 \text{ MeV}$)



IN-FLIGHT

($p_K \sim 100 \text{ MeV}$)



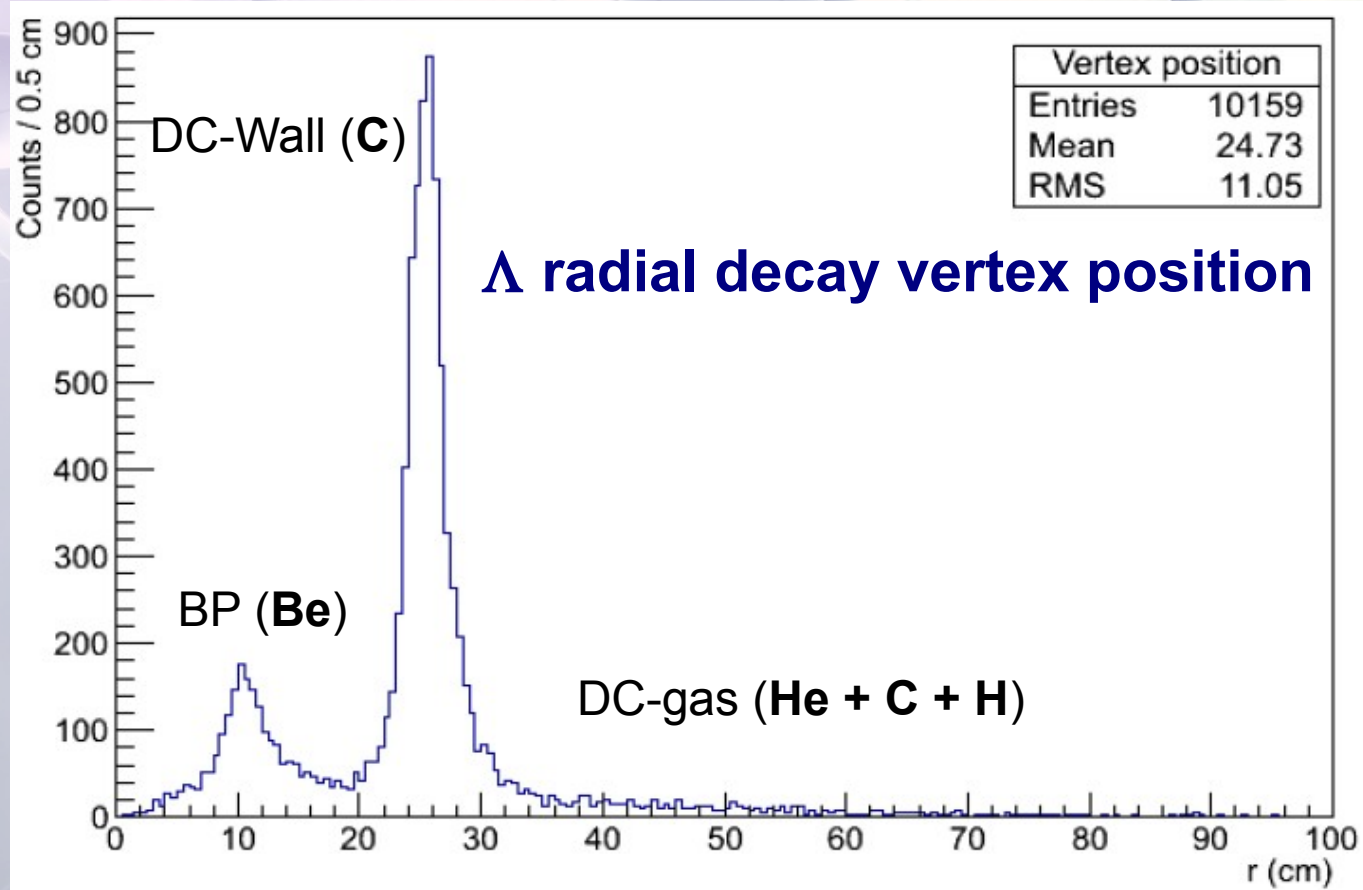
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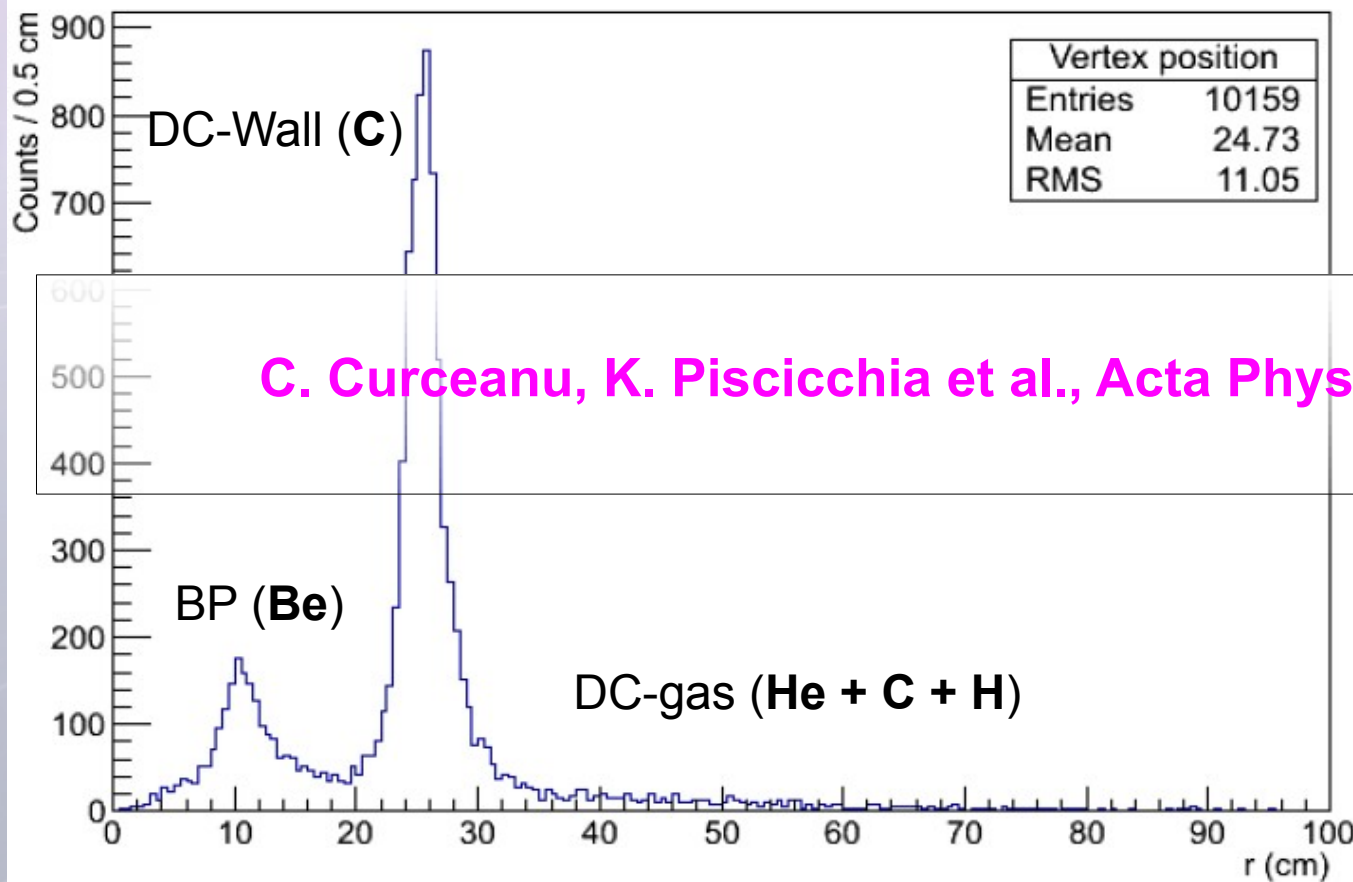
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C. Curceanu, K. Piscicchia et al., Acta Phys.Polon. B46 (2015)1, 203



K^-

PART 1

$\Upsilon \pi$ CORRELATION

resonant VS non-resonant production study

$\Lambda(1405)$.. resonance or/and bound state?

- Chiral unitary models: $\Lambda(1405)$ is an $I = 0$ quasibound state emerging from the coupling between the \overline{KN} and the $\Sigma\pi$ channels. Two poles in the neighborhood of the $\Lambda(1405)$:

Jido D., Oller J. A., Oset E., Ramos A., Meissner U.-G., Nucl. Phys. A 725, 181 (2003), T. Hyodo, W. Weise, Phys. Rev. C 77, 035204 (2008), A. Cieply, J. Smejkal, Few Body Syst. 54 (2013) 1183

High mass $\rightarrow \overline{KN}$

Low mass $\rightarrow \Sigma\pi$

\rightarrow line-shape depends on production mechanism

- Akaishi-Esmaili-Yamazaki phenomenological potential

Phys. Lett. B 686 (2010) 23-28 Confirmation of single pole ansatz?

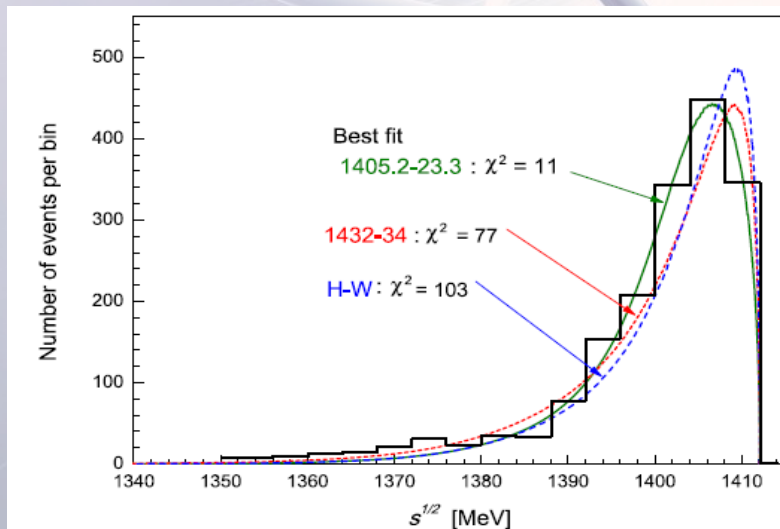
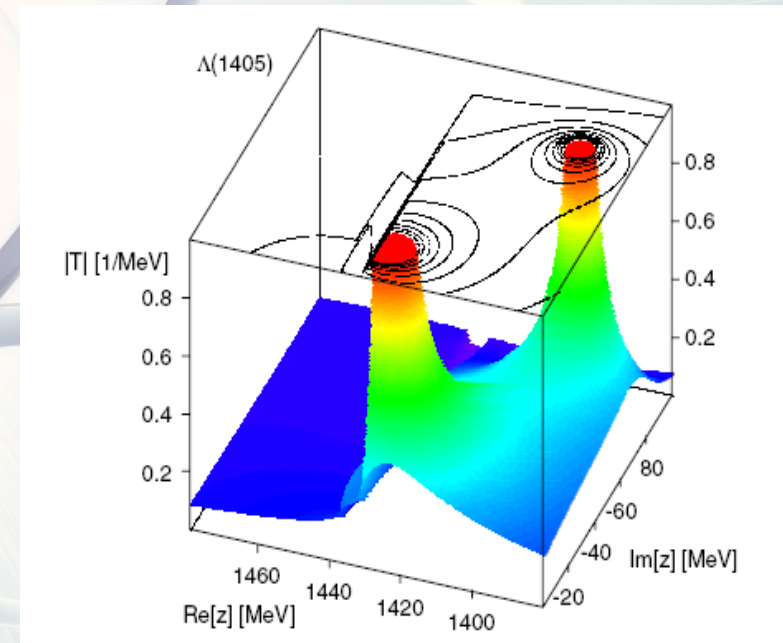


Fig. 6. Detailed differences in $M_{\Sigma\pi}$ spectra among the Hyodo-Weise prediction and the present model predictions.



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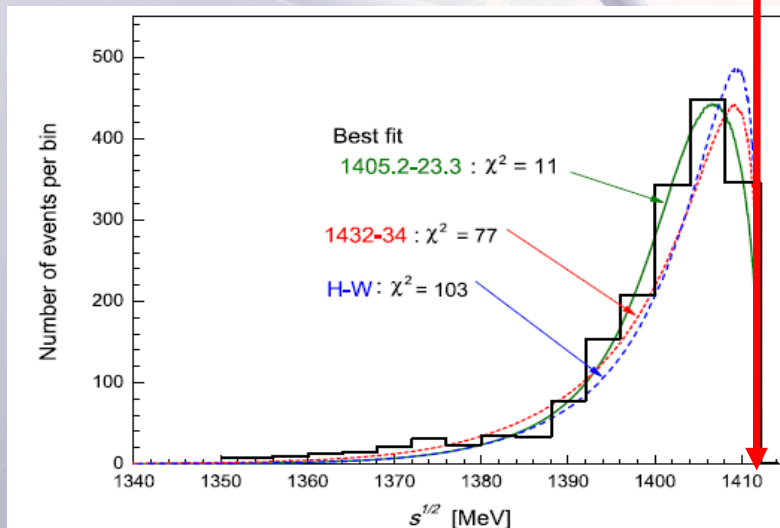


Fig. 6. Detailed differences in $M_{\Sigma\pi}$ spectra among the Hyodo-Weise prediction and the present model predictions.

“A study of $K^- \ ^4\text{He} \rightarrow (\Sigma\pm\pi\mp) + \ ^3\text{H}$ using slow instead of stopping K^- would be very useful in eliminating some of the uncertainties in interpretation”

D. Riley, et al. Phys. Rev. D11 (1975) 3065

CUT AT THE ENERGY LIMIT AT-REST ?

NON RESONANT SHAPE ?

Scientific case of the $\Lambda(1405)$

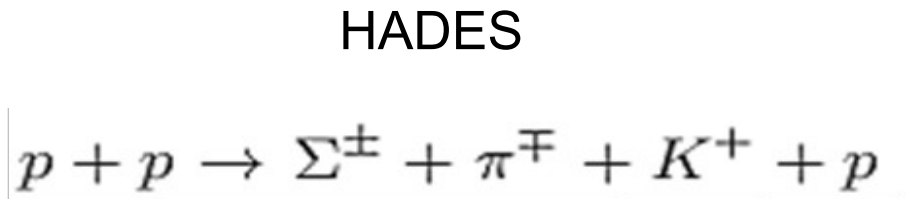
- Chiral unitary models: $\Lambda(1405)$ is an $I = 0$ quasibound state emerging from the coupling between the $\bar{K}N$ and the $\Sigma\pi$ channels. Two poles in the neighborhood of the $\Lambda(1405)$:

4) *two poles*: (2)

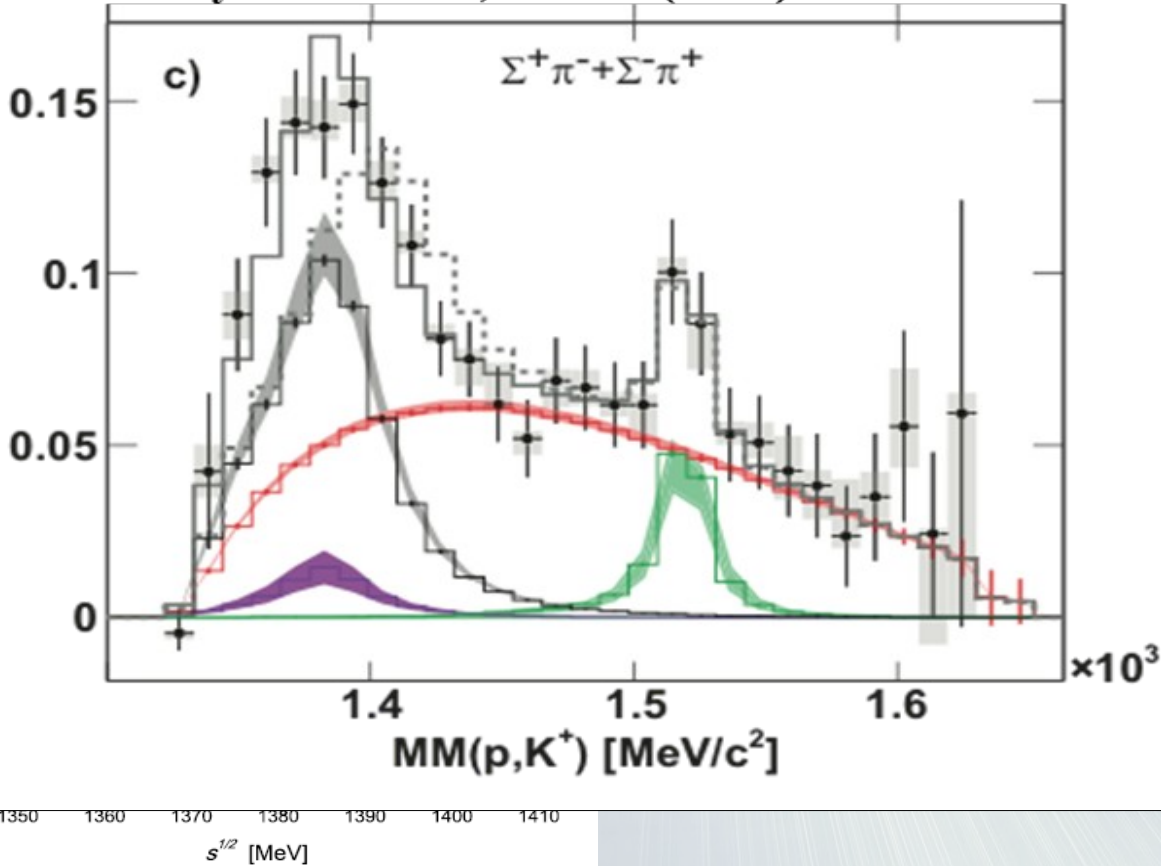
mainly c

Akaishi-E

Phys. Lett. B



Phys. Rev. C 87, 025201 (2013)



Phys. A881, 98 (2012))

depends on
mechanism

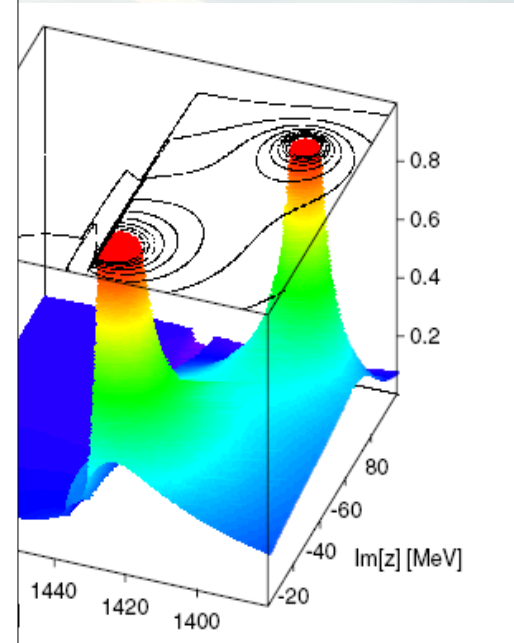


Fig. 6. Detailed differences in $M_{\Sigma\pi}$ spectra among the Hyodo-Weise prediction and the present model predictions.

Scientific case of the $\Lambda(1405)$

K^-

$\Lambda(1405)$ is $I = 0$

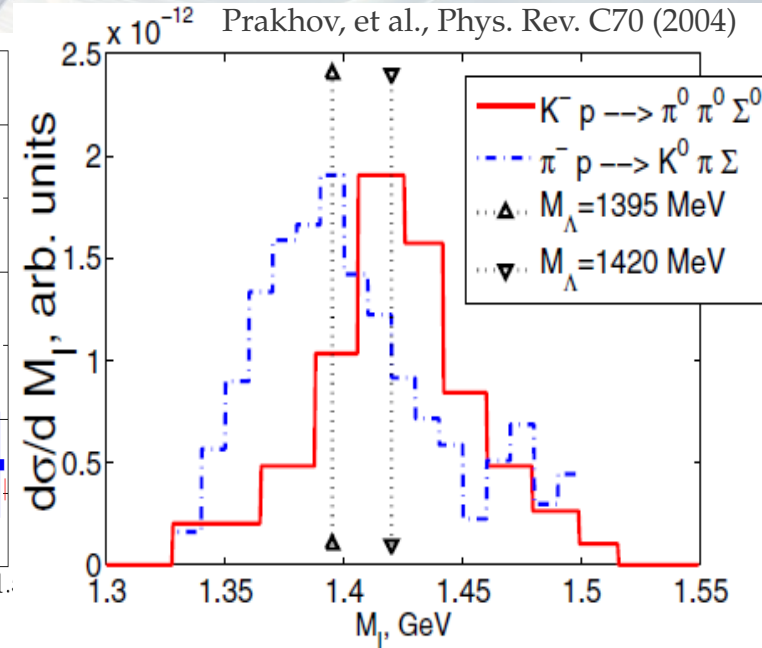
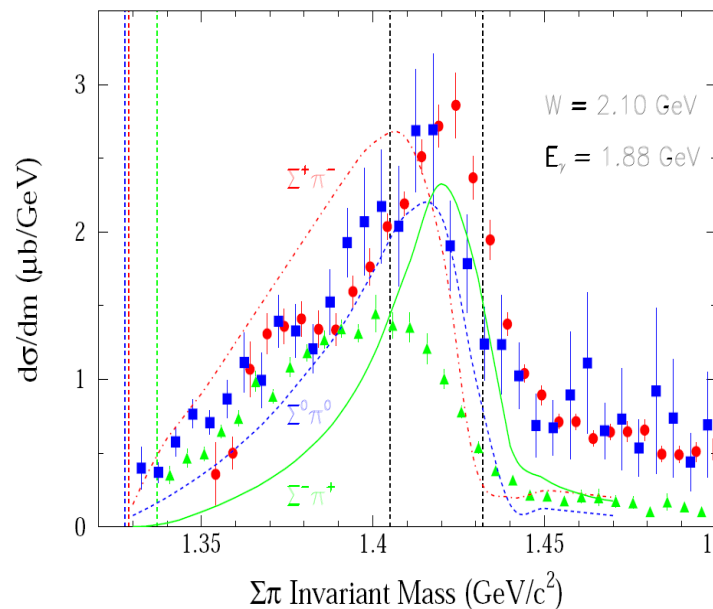
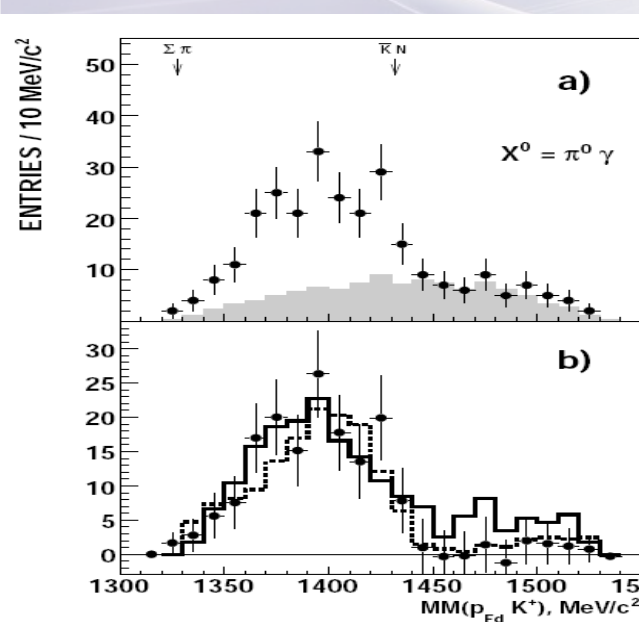
$\Sigma^0\pi^0$ ($I=0$) golden decay channel
(free from $\Sigma(1385)$ background $I=1$)

The $\Sigma^0\pi^0$ spectrum was **only observed in 3 experiments** ... with different line-shapes !

I. Zychor et al., Phys. Lett. B 660 (2008) 167

K. Moriya, et al., (Clas Collaboration) Phys. Rev. C 87, 035206 (2013)

Magas et al. PRL 95, 052301 (2005) 034605 S.
Prakhov, et al., Phys. Rev. C70 (2004)



Ongoing fit of $\Sigma^0\pi^0$

K^-

8 component fit :

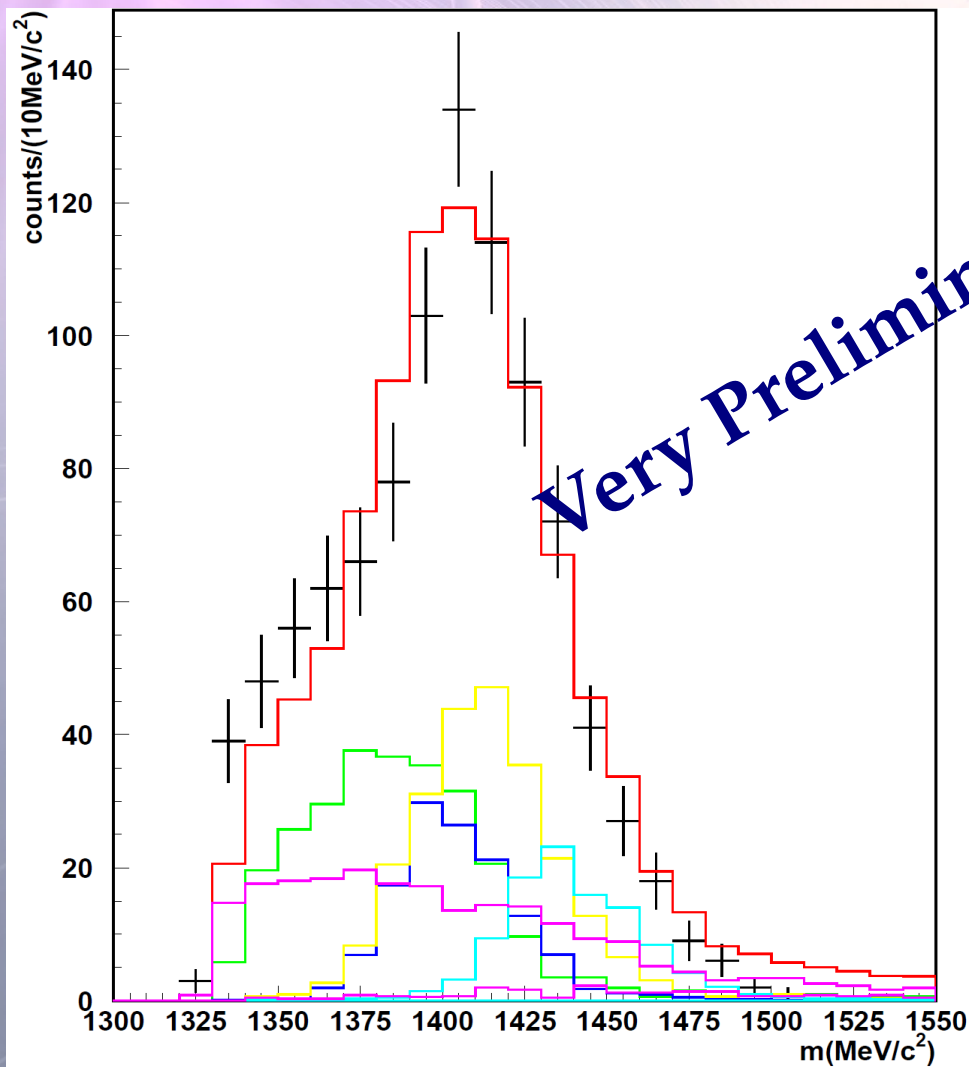
- Resonant component $K^- C$ at-rest/in-flight. $(M,\Gamma) = (1405 \div 1430, 5 \div 52)$
better description of the resonance lineshape is needed, work in progress with the Prague group
- Non resonant $\Sigma^0\pi^0 K^- H$ production at-rest/in-flight
- Non resonant $\Sigma^0\pi^0 K^- C$ production at-rest/in-flight
- $\Lambda\pi^0$ background ($\Sigma(1385) + I.C.$)
- non resonant misidentification (*n.r.m.*) background

Fit of $\Sigma^0\pi^0$ spectrum in C

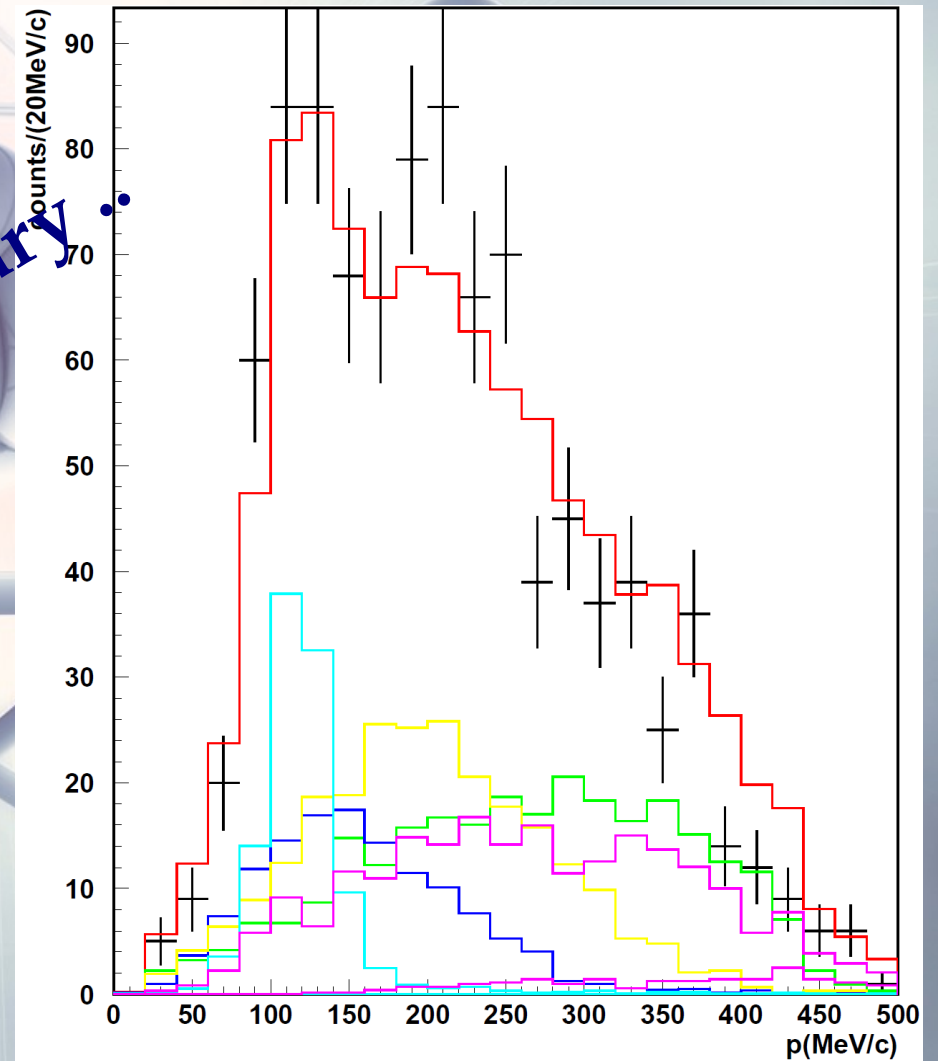
$\chi^2_{\min}/\text{ndf} \sim 1.7$ corresponding to $(M_{\min}, \Gamma_{\min}) = (1426, 52) \text{ MeV}/c^2$

K^-

- Global fit — (red line)
- Resonant component $K^- C$ at-rest — (green line)
- n. r. $K^- C$ at-rest — (blue line)
- n. r. $K^- C$ in-flight — (yellow line)
- n. r. $K^- H$ in-flight — (cyan line)
- $\Lambda^0\pi^0$ background + n. r. m. — (magenta line)



$m_{\Sigma^0\pi^0}$



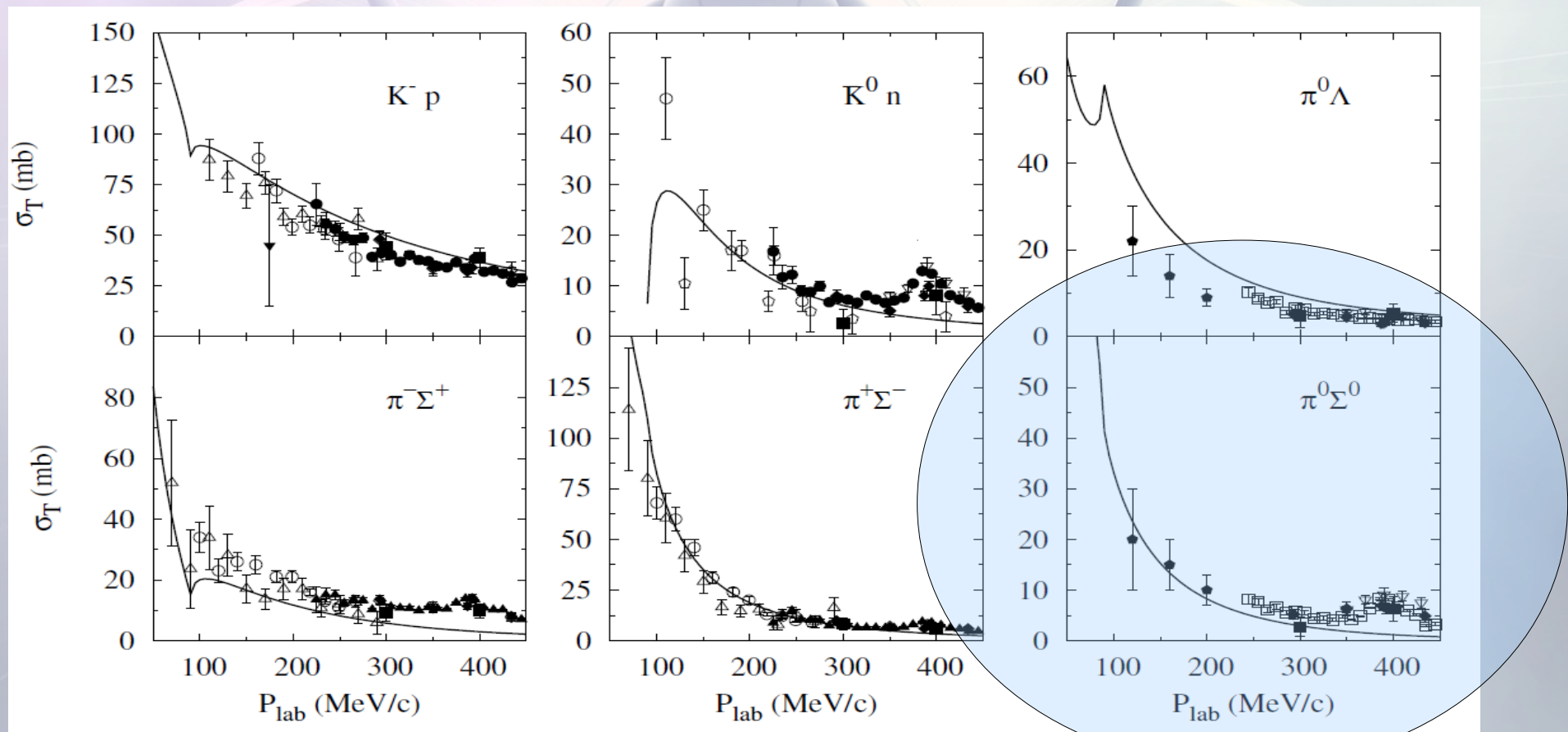
$p_{\Sigma^0\pi^0}$

$K^- p \rightarrow \Sigma^0 \pi^0$ cross section measurement
at $p_K \sim 100 \text{ MeV}/c$



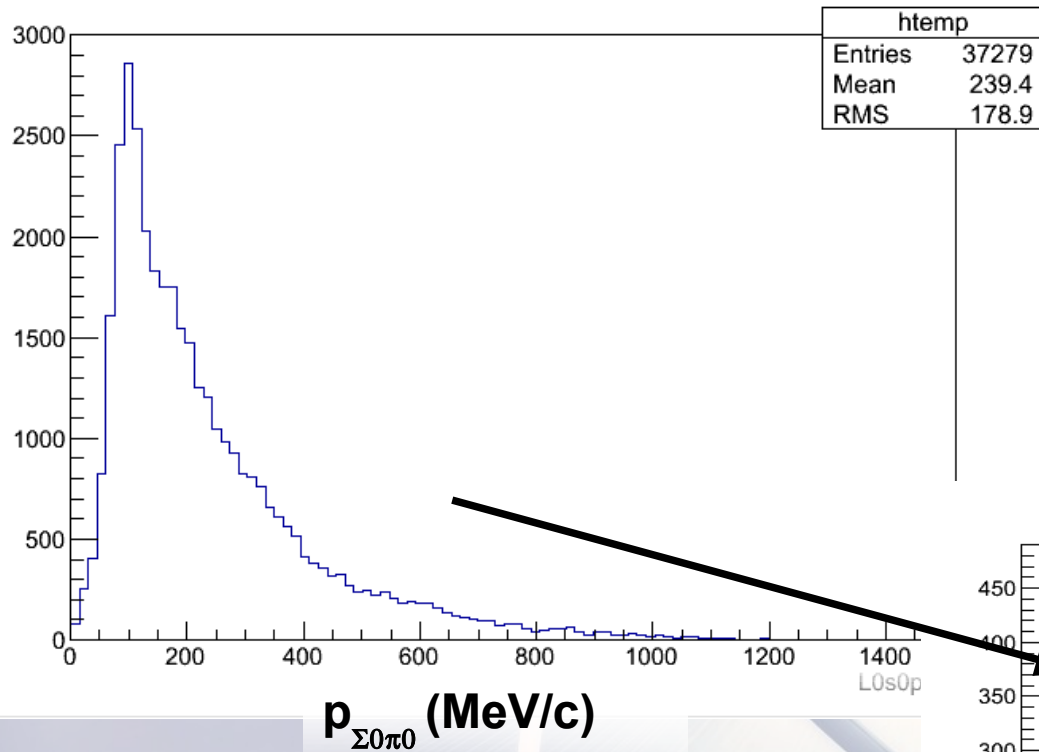
$K^- p \rightarrow \Sigma^0 \pi^0$ cross section measurement at $p_K \sim 100$ MeV/c

- $K^- p \rightarrow \Sigma^0 \pi^0$ cross section measurement at or below 100 MeV/c missing
- existing data at (120, 160, ..) MeV/c with big relative errors (about 50% & 120 MeV/c)



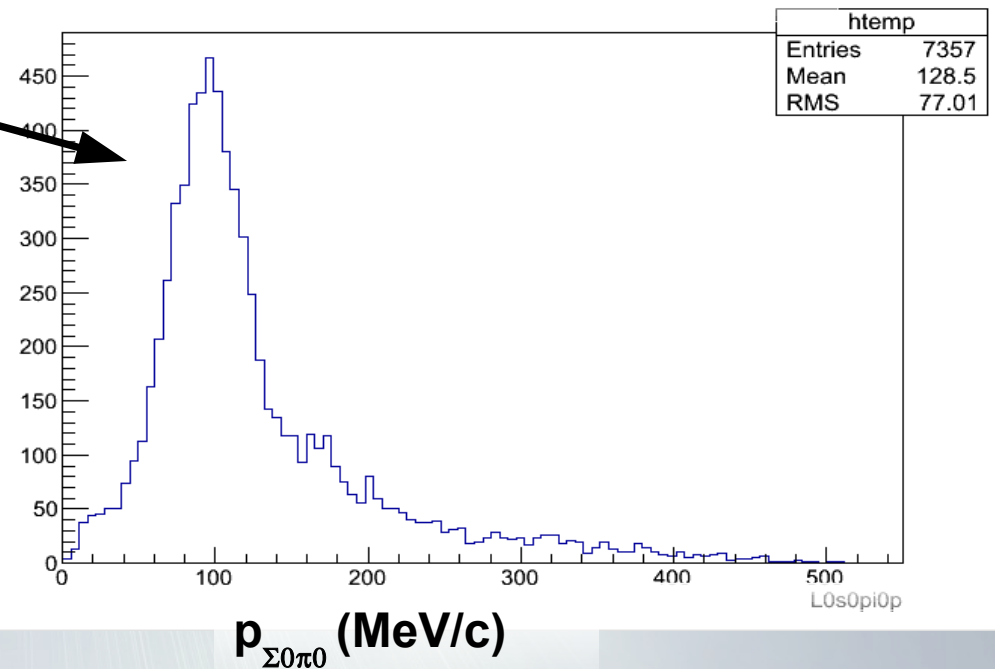
$K^- p \rightarrow \Sigma^0 \pi^0$ cross section measurement at $p_K \sim 100$ MeV/c

K^-



Cats based on K- H in-flight capture kinematics:

- $\Theta(p_\gamma - p_\gamma) \rightarrow \pi^0$ opening angle
- $p_{\pi^0} \rightarrow \pi^0$ momentum
- $p_{\Sigma^0} \rightarrow \Sigma^0$ momentum



$K^- p \rightarrow \Sigma^0 \pi^0$ cross section measurement at $p_K \sim 100 \text{ MeV}/c$

Simultaneous fit of

- Σ^0 - π^0 momentum
- Σ^0 - π^0 invariant mass
- Σ^0 - π^0 angular correlation

With 6 components:

- K- H capture at-rest + in-flight \rightarrow kinematics is closed
- K- 4He capture at-rest + in-flight ($l_K = 1$)
- K- 12C capture at-rest + in-flight ($l_K = 2$, kaon captured on valence proton)

$$A_{K^- p \rightarrow \Sigma^0 \pi^0}(\mathbf{p}_{\Sigma^0 \pi^0}) = \int d\mathbf{k}_{\Sigma^0 \pi^0} d\mathbf{p}_R \phi_K(\mathbf{p}_K) \psi_p(\mathbf{k}_{pR}) t(\mathbf{k}_{\Sigma^0 \pi^0}, \mathbf{k}'_{\Sigma^0 \pi^0}, E_{\Sigma^0 \pi^0}) \delta^3(\mathbf{p}_R - \mathbf{p}'_R).$$

Each process considered non-resonant (transition no momentum dependent)

$K^- p \rightarrow \Sigma^0 \pi^0$ cross section measurement at $p_K \sim 100$ MeV/c

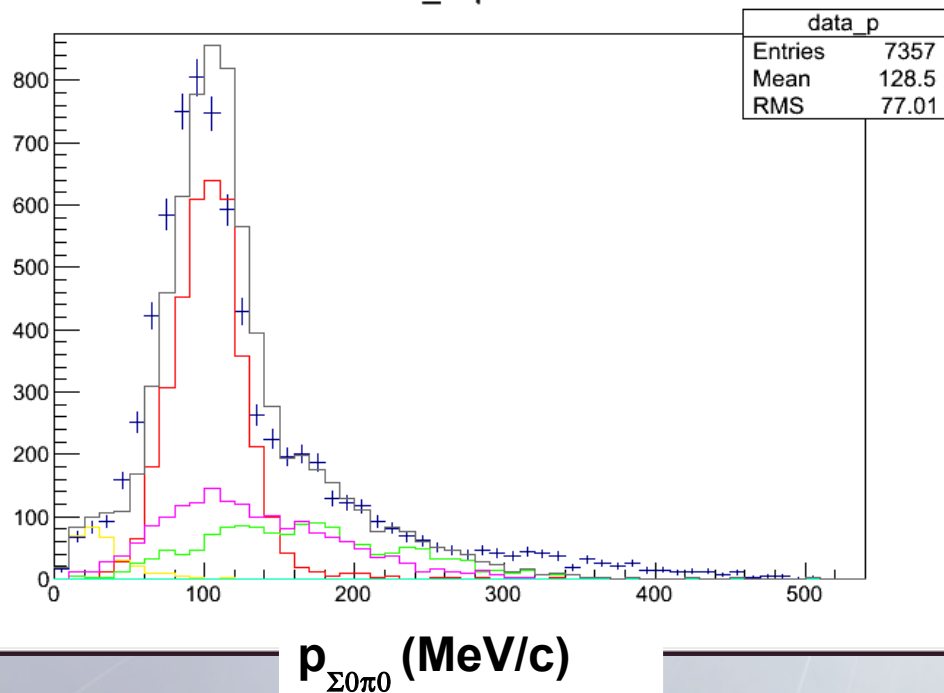
Simultaneous fit of

- $\Sigma^0\text{-}\pi^0$ momentum
- $\Sigma^0\text{-}\pi^0$ invariant mass
- $\Sigma^0\text{-}\pi^0$ angular correlation

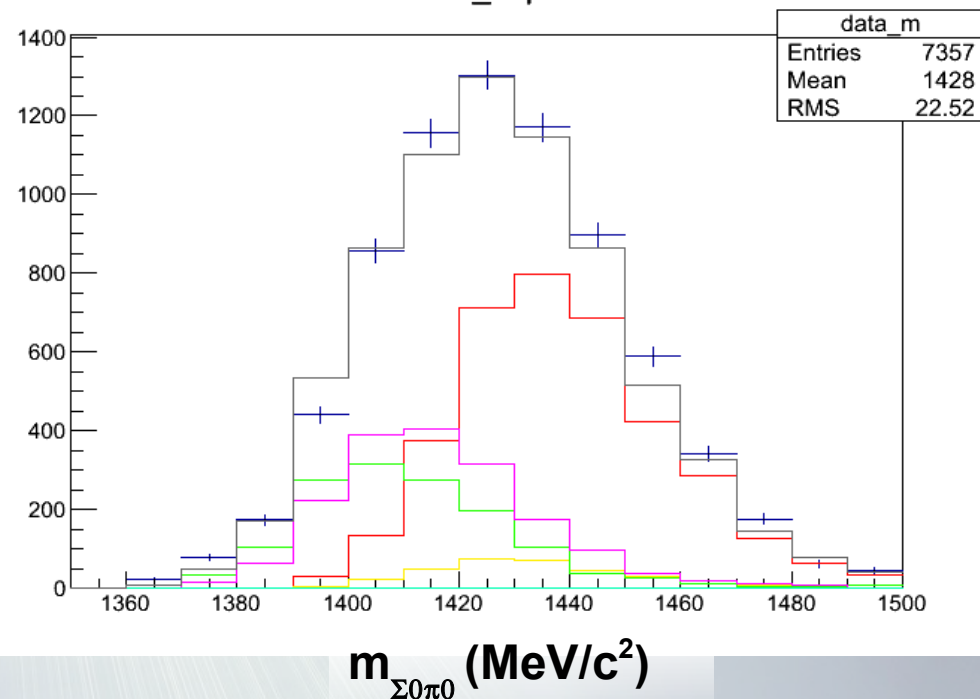
With 6 components:

- K- H capture **at-rest** + **in-flight**
- K- 4He capture **at-rest** + **in-flight**
- K- 12C capture **at-rest** + **in-flight**

P_s0pi0



invM_s0pi0



$\Sigma^+\pi^-$ correlation

K^-

$K^- p \rightarrow \Sigma^+ \pi^-$ detected via: $(p\pi^0)\pi^-$

Possibility to disentangle: Hydrogen, in-flight, at-rest, K^- capture

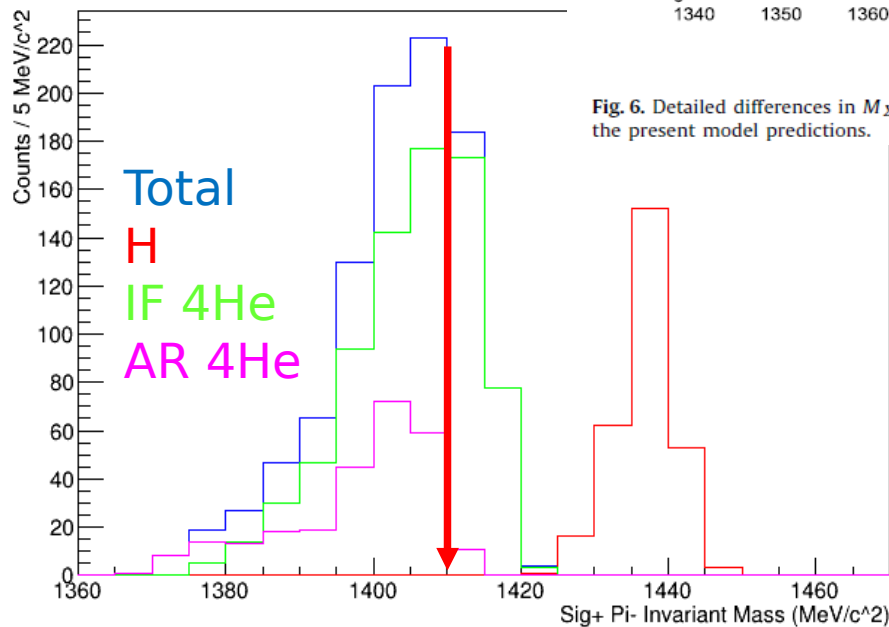
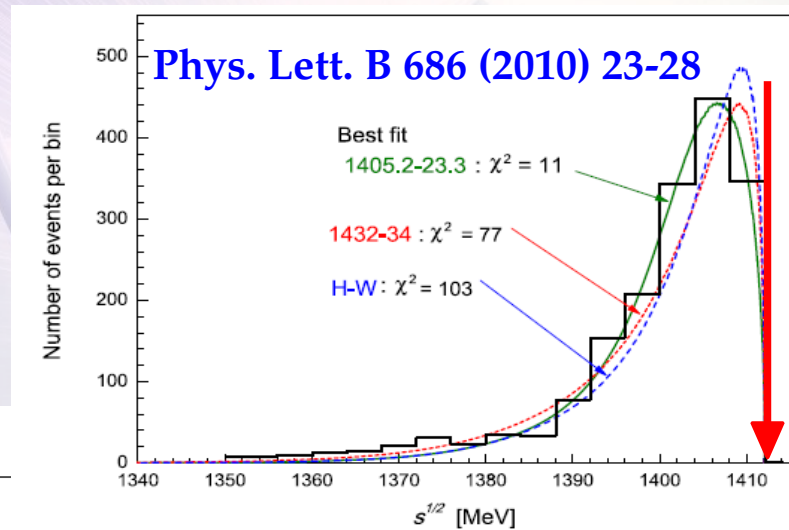
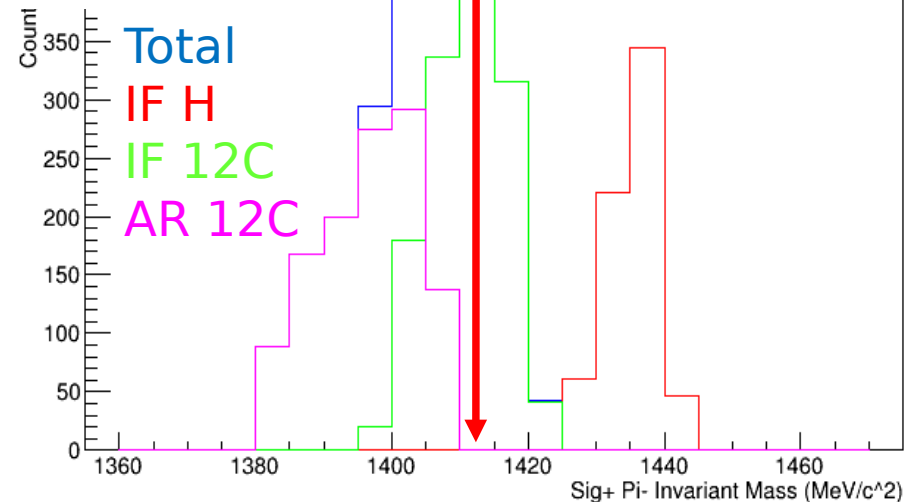


Fig. 6. Detailed differences in $M_{\Sigma\pi}$ spectra among the Hyodo-Weise prediction and the present model predictions.



Invariant Mass in DC wall	
Entries	3186
Mean	1411
RMS	15.39

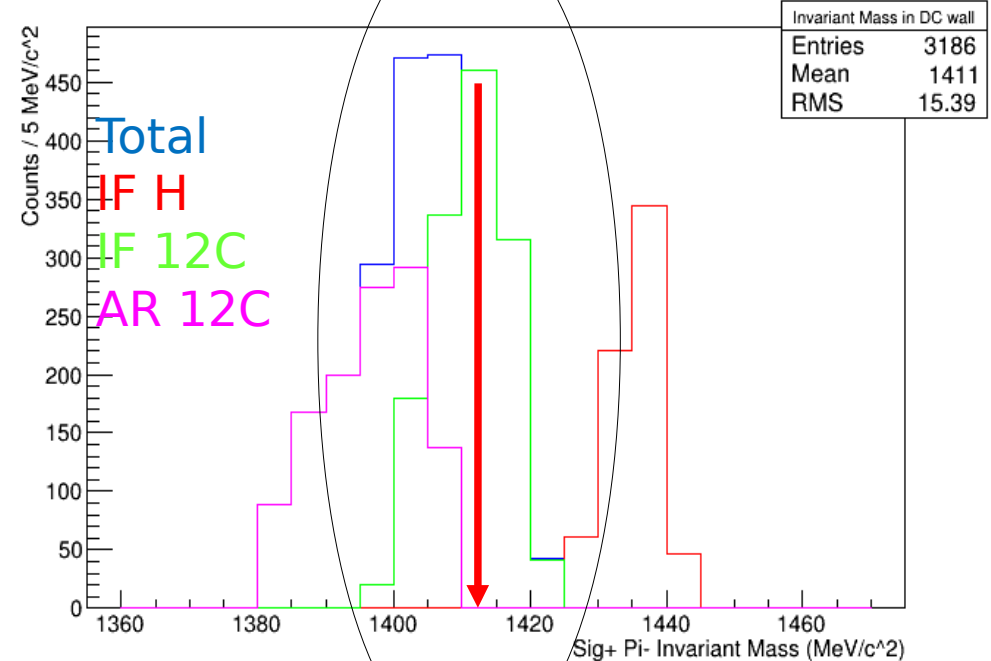
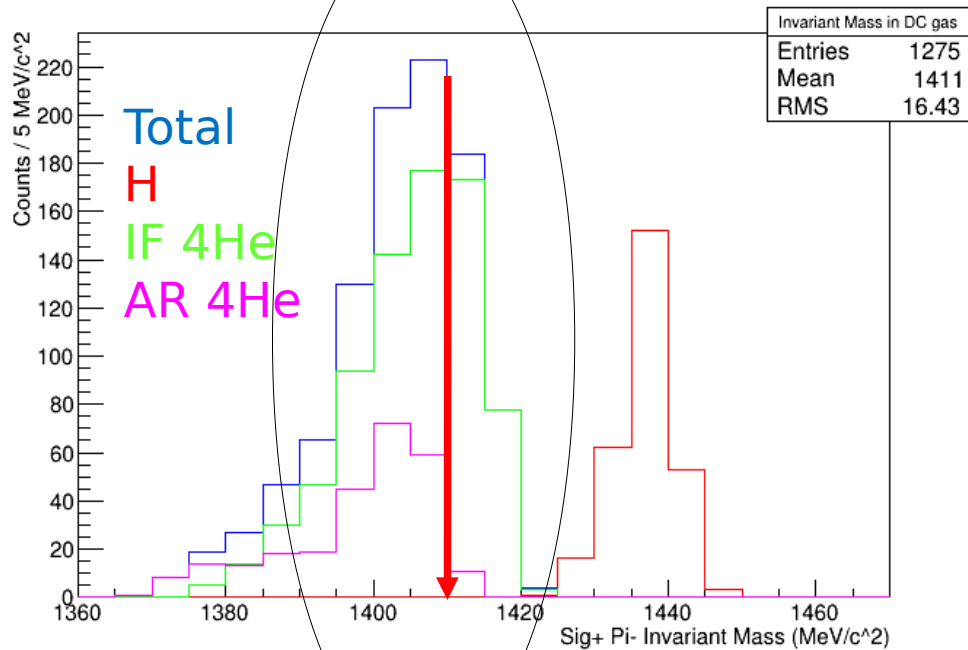
K^-

$\Sigma^+\pi^-$ correlation

$K^- p \rightarrow \Sigma^+ \pi^-$ detected via: $(p\pi^0)\pi^-$

Possibility to disentangle: **Hydrogen**, **in-flight**, **at-rest**, K^- capture

if resonant production contribution is important a high mass component appears!



Resonant VS non-resonant

K^-

$$K^- N \rightarrow (Y^* ?) \rightarrow Y \pi$$

how much comes from resonance ?

Non resonant transition amplitude:

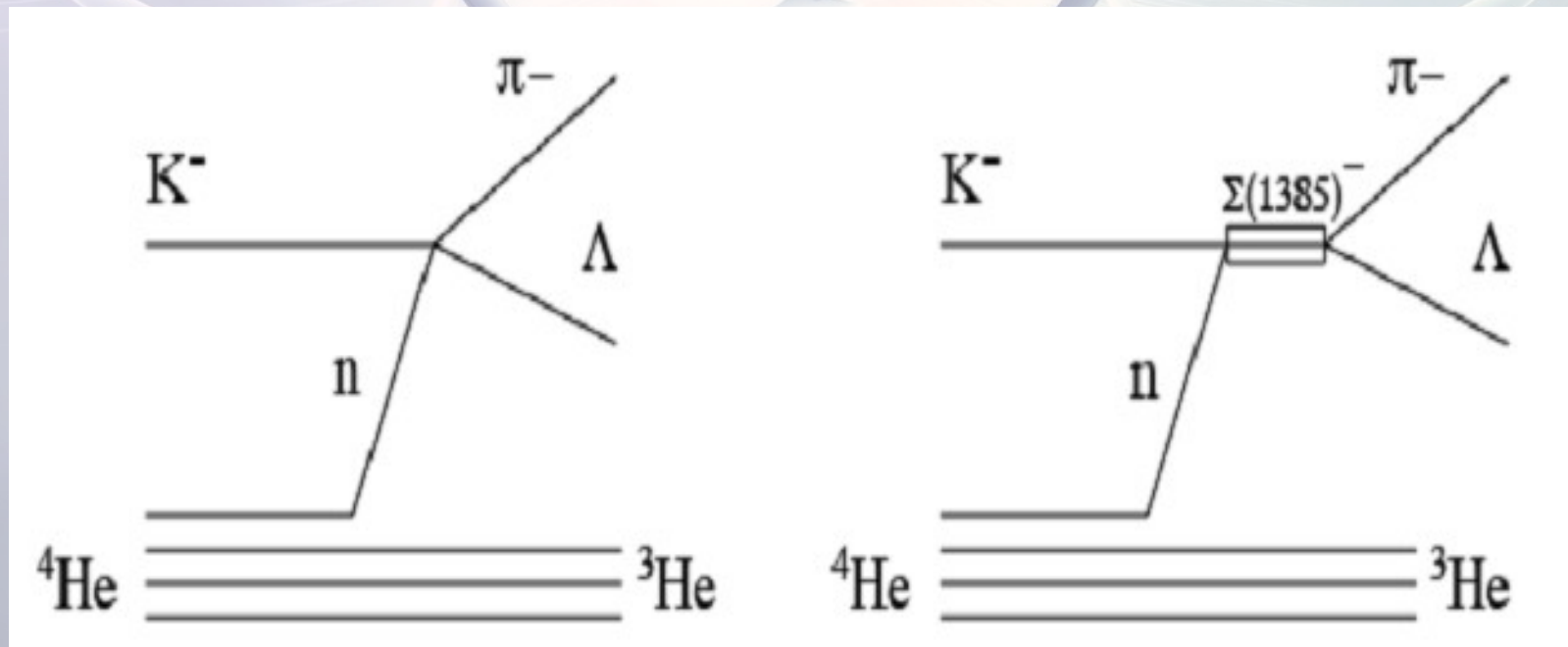
- Never measured before below threshold
- few, old theoretical calculations
(Nucl. Phys. B179 (1981) 33-48)

K^- Resonant VS non-resonant

Investigated using:

$K^- "n" \rightarrow \Lambda \pi^-$ direct formation in ${}^4\text{He}$

In collaboration with Prof. S. Wycech

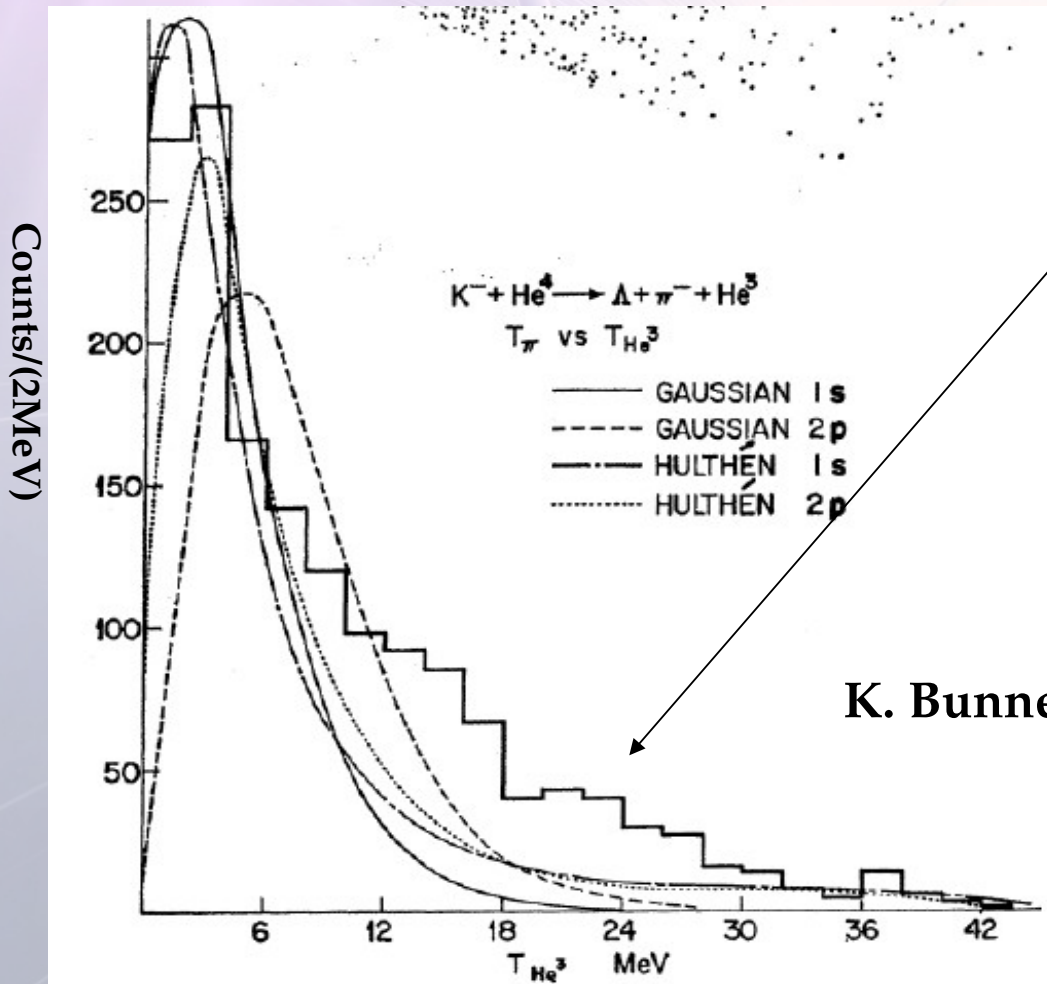


Channel: $K^- \ ^4\text{He} \rightarrow \Lambda \ \pi^- \ ^3\text{He}$... the idea

K^-

Bubble chamber experiments exhibit two components:

- Low momentum $\Lambda \ \pi^-$ pair \rightarrow S-wave, $I=1$, non-resonant transition amplitude.
 - High momentum $\Lambda \ \pi^-$ pair \rightarrow P-wave resonant formation ?



Also exists in S-state K-mesic atom
 as a result of the
 three body structure of the system

($K = 1, n=2, \ ^3\text{He} = 3$)

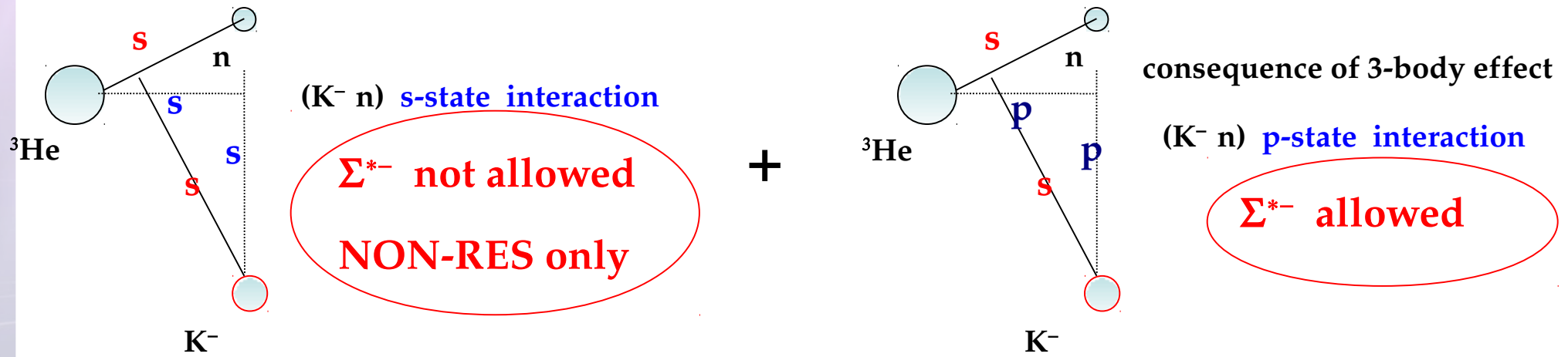
K. Bunnell et al., Phys.Rev. D2 (1970) 98

Channel: $K^- \ ^4\text{He} \rightarrow \Lambda \pi^- \ ^3\text{He}$... the idea

K^-

$K^-(s=0) \ ^4\text{He}(s=0) \ n(s=1/2) \ \Sigma^{*-}(s=3/2) \rightarrow$ **resonance p-wave only**

atomic s-state capture:



- ($K^- \ ^4\text{He} \rightarrow \Lambda \pi^- \ ^3\text{He}$) absorptions from (n s) - atomic states dominate \rightarrow consistent with ^4He bubble chamber data (Fetkovich, Riley interpreted by Uretsky, Wienke)
- Coordinates recoupling enables for P-wave resonance formation

Channel: $K^- \ ^4\text{He} \rightarrow \Lambda \pi^- \ ^3\text{He}$... the strategy

K^-

- **To determine *for the first time* the ratio
resonant/non-res**

33 MeV below threshold

$|f_{\Lambda\pi}^{\text{N-R}}|$ given the fairly well known $|f_{\Lambda\pi}^{\Sigma^*}|$

Theoretical paper under finalization

Channel: $K^- \ ^4\text{He} \rightarrow \Lambda \ \pi^- \ ^3\text{He}$... calculated reactions

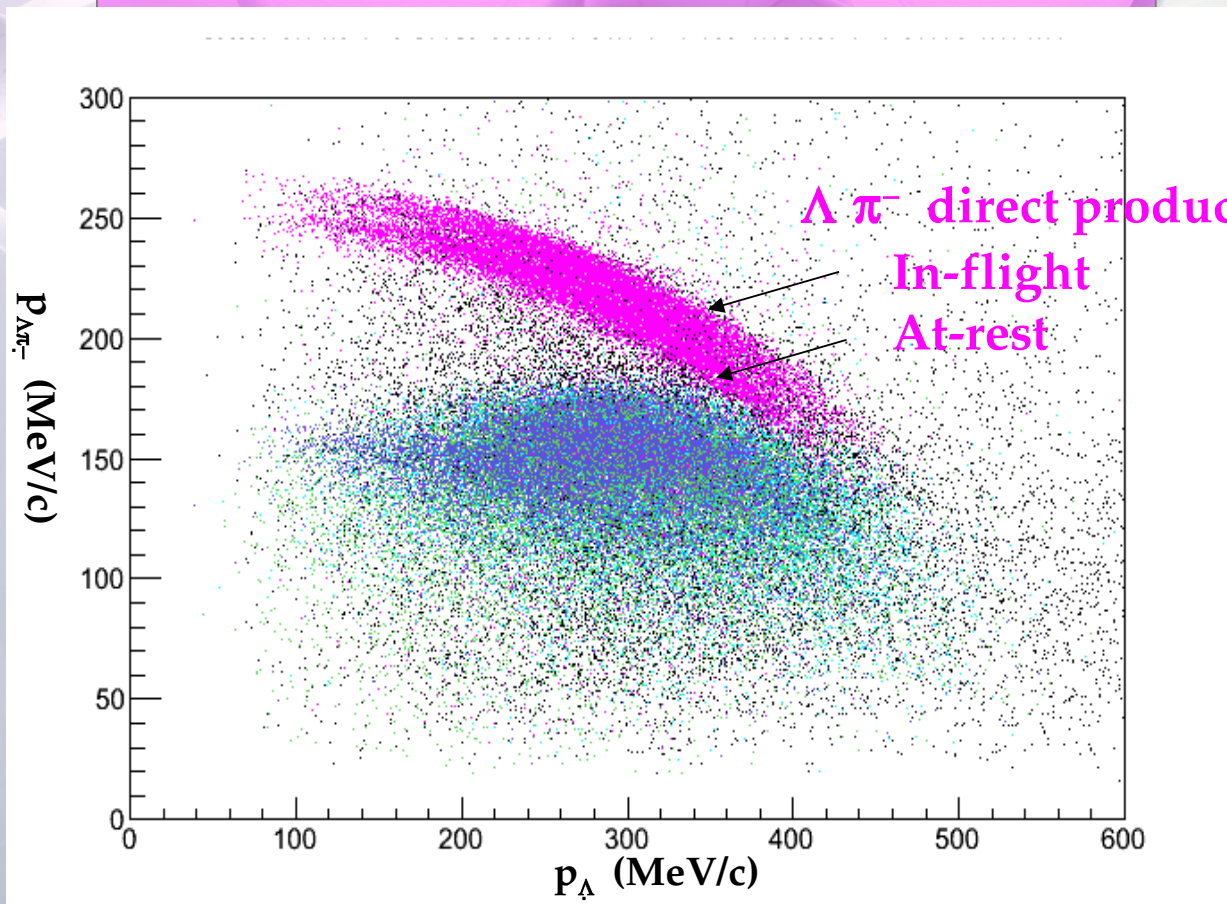
K^-

At-rest: S-wave non-Res / P-wave $\Sigma(1385)$ Res

$K^- \ ^4\text{He} \rightarrow \Lambda \ \pi^- \ ^3\text{He}$

In-flight: S-wave non-Res / P-wave $\Sigma(1385)$ Res

Direct $\Lambda \ \pi^-$ production .. SIGNAL

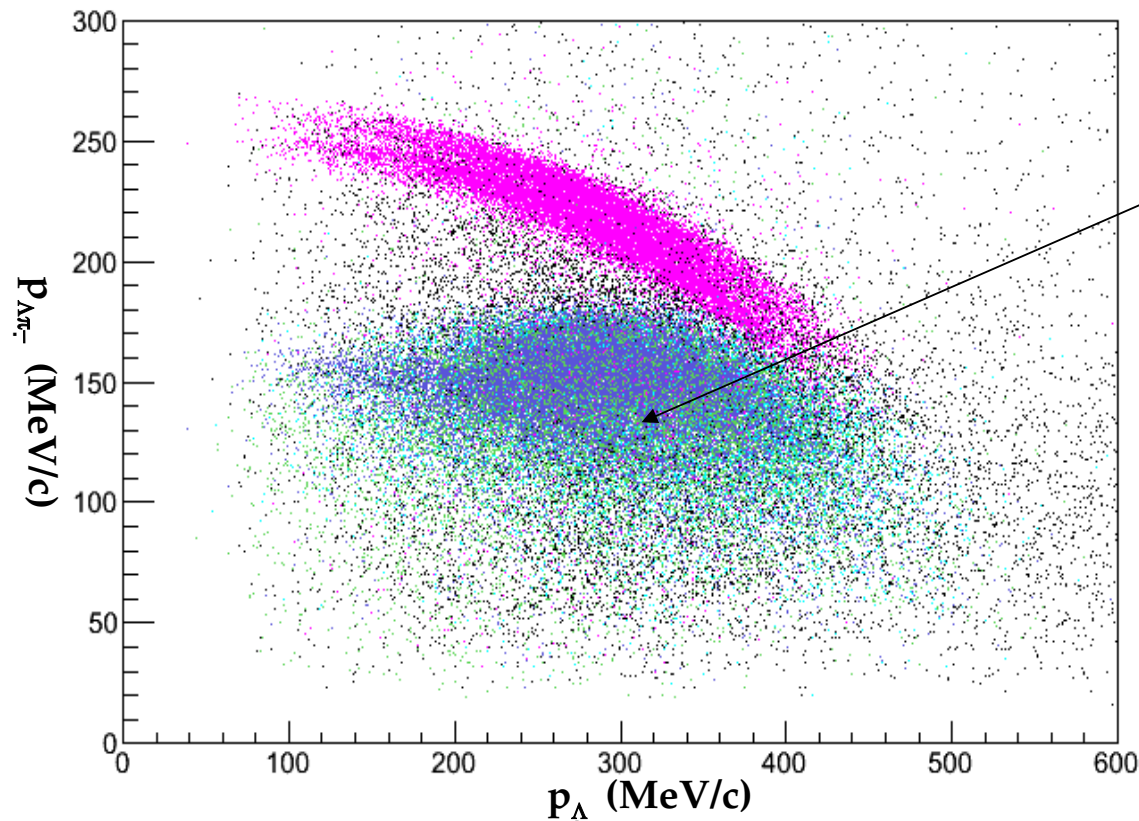
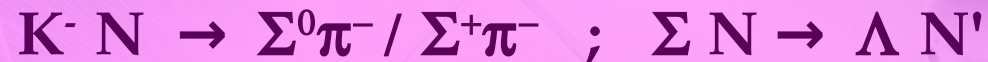


Channel: $K^- \ ^4\text{He} \rightarrow \Lambda \ \pi^- \ ^3\text{He}$... calculated reactions

K^-

NOT Direct $\Lambda \ \pi^-$ production .. BACKGROUND

Λ comes from the Σ hyperon conversion on residual nucleons



NOT direct

$\Lambda \ \pi^-$ production

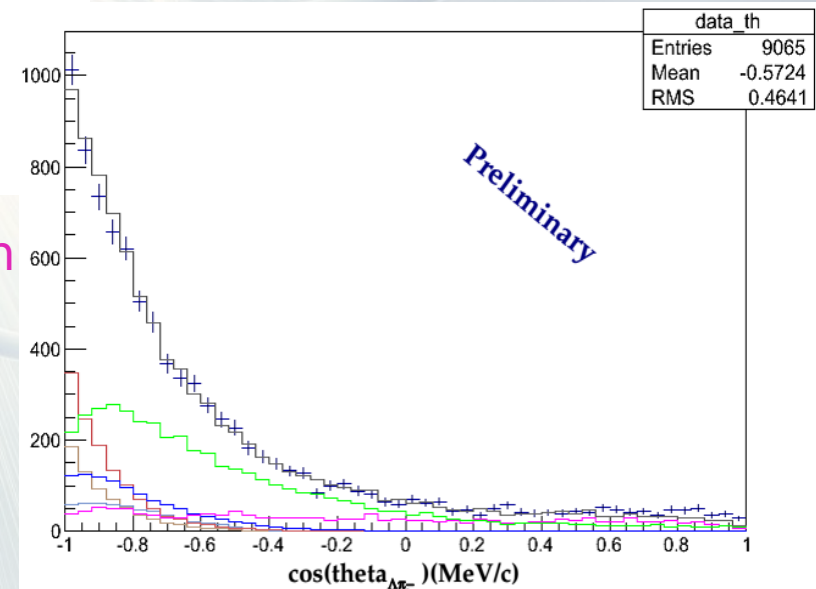
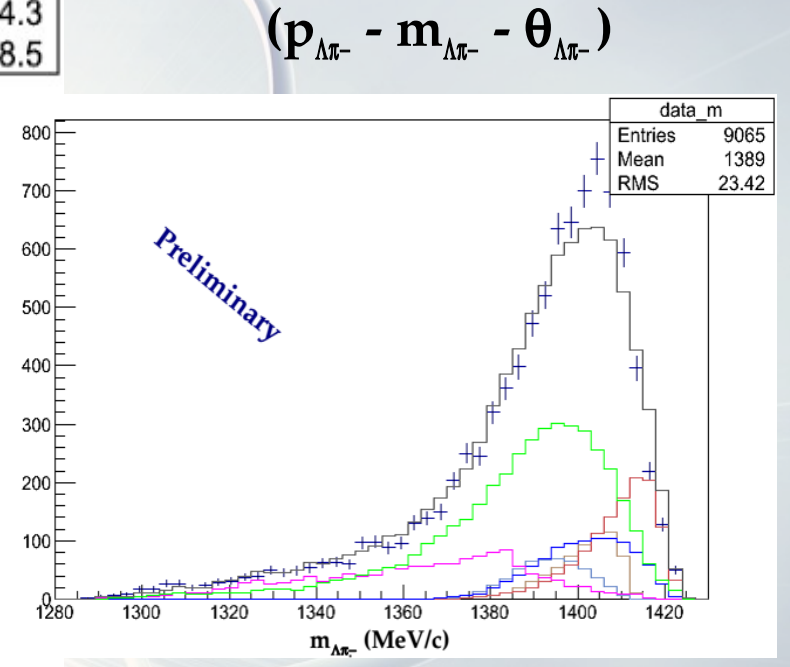
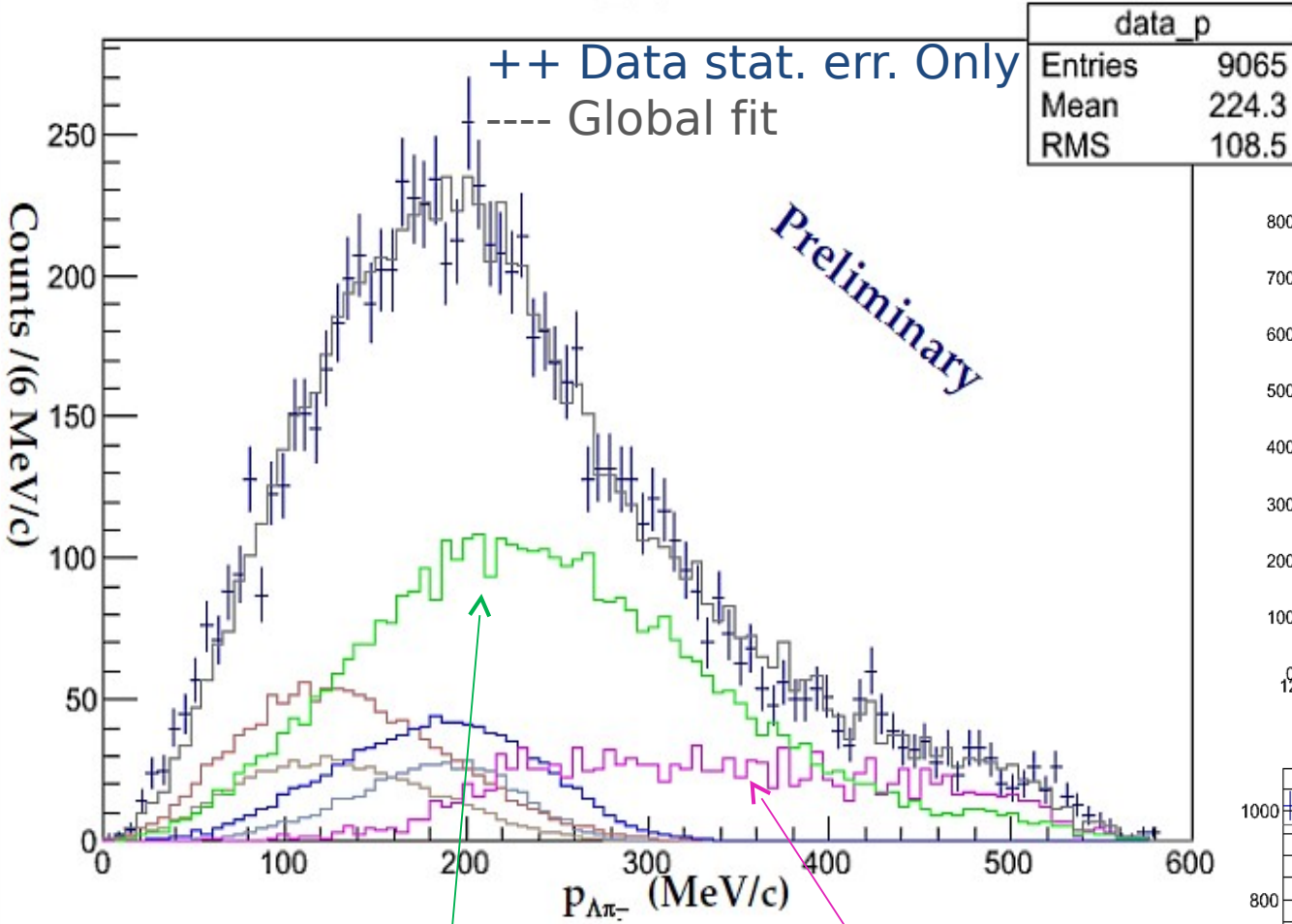
$\Sigma^0 \ p$ conversion

$\Sigma^0 \ n$ conversion

$\Sigma^+ \ n$ conversion

$K^- \ ^4\text{He} \rightarrow \Lambda \pi^- \ ^3\text{He}$ preliminary fit

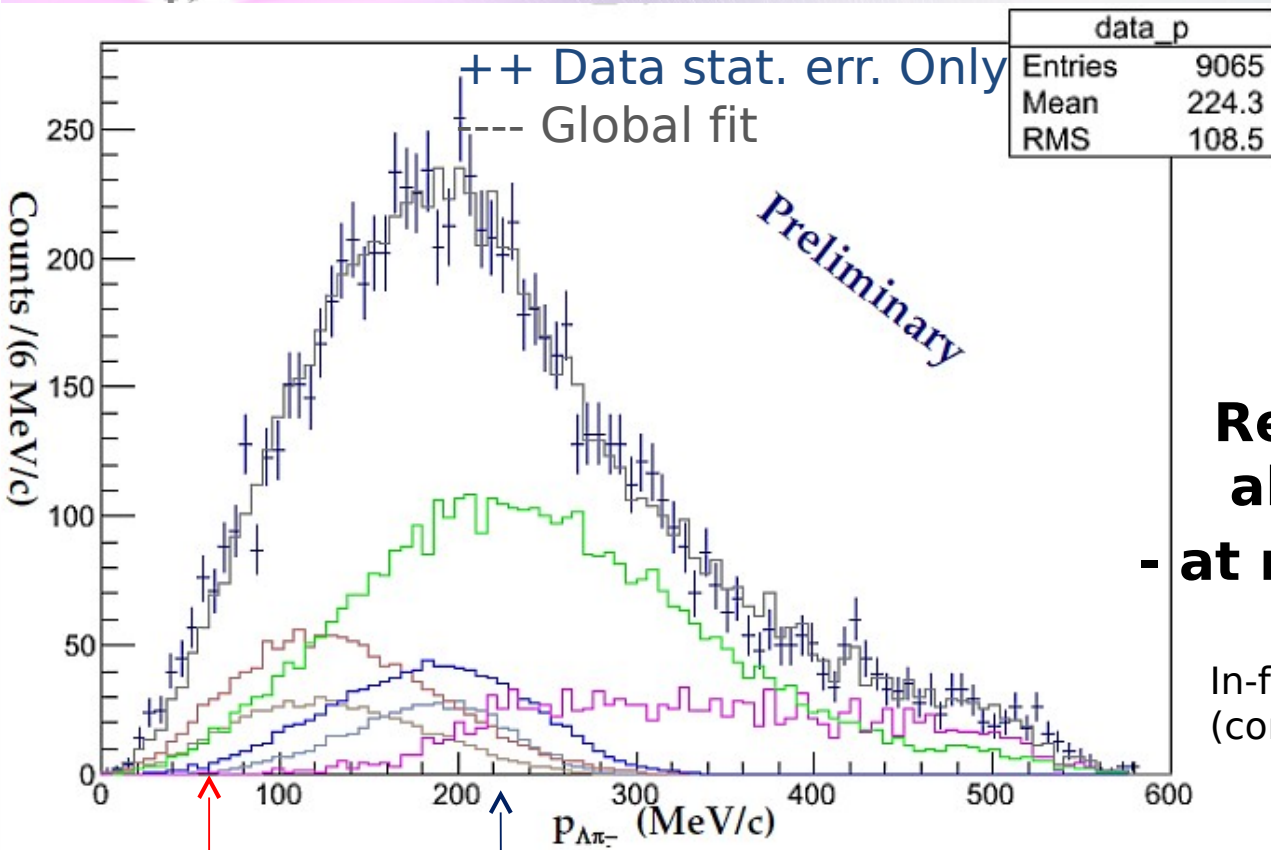
Simultaneous fit



Absorptions in ^{12}C
 (from Carbon wall data)

Σ/Λ nuclear conversion
 $K-N \rightarrow \Sigma \pi$
 $\rightarrow \Sigma N \rightarrow \Lambda N'$

$K^- \ ^4\text{He} \rightarrow \Lambda \pi^- \ ^3\text{He}$ preliminary fit



Simultaneous fit

$$(p_{\Lambda\pi^-} - m_{\Lambda\pi^-} - \theta_{\Lambda\pi^-})$$

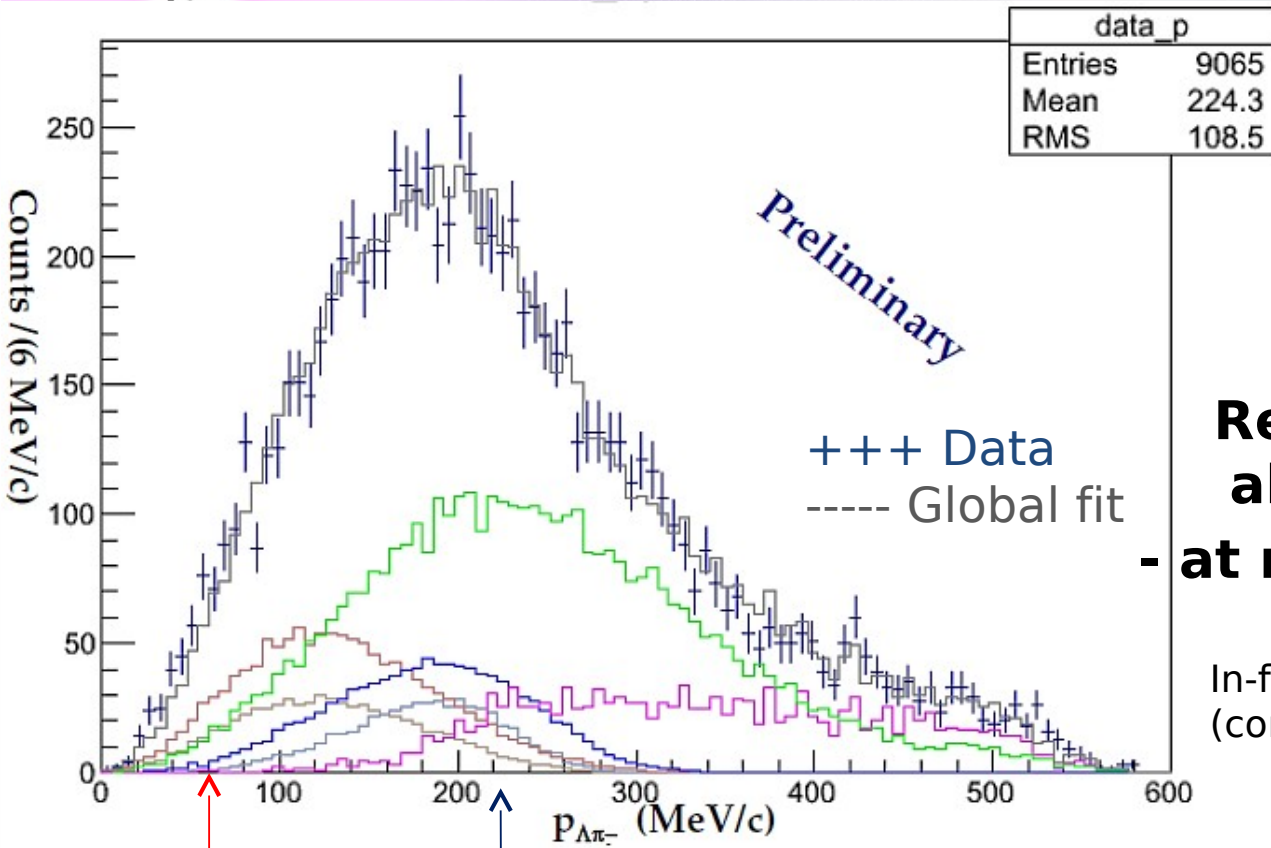
**Resonant/non-resonant
absorption ratio:**

- at rest = 1.26 ± 0.06 (stat)

In-flight/at-rest ratio = 1.9 ± 0.4 (stat)
 (consistent with $\Sigma+\pi^-$ data = 2.2 ± 0.05)

Non-Resonant **Resonant** Σ^*
(in-flight) **(in-flight)**
(at-rest) **(at-rest)**

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Non-Resonant **Resonant** Σ^*
(in-flight) (in-flight)
(at-rest) (at-rest)

The $K^-n \rightarrow \Lambda\pi^-$ S-wave amplitude $|f_S|$ (fm) is extracted

$E = -33\text{MeV}$	$p_{lab} = 120 \text{ MeV}/c$	160	200	245
0.22(0.01+0.06)	0.33(11)	0.29(10)	0.24 (6)	0.28(2)
preliminary				

$\Lambda\pi^0$ data from J. Kim, Nucl. Phys. B 129 (1977) 1.

Conclusions part 1

- $m_{\Sigma\pi}$ spectra show a **high invariant mass component** → associated to in-flight K^- capture
- PRELIMINARY $\Lambda\pi^-$ **first measurement of N-R (I=1) $_{\Lambda\pi}$ amplitude below threshold**

Next steps ...

- **Analysis is ongoing for $\Sigma^0\pi^-$** → extraction of $|f^{\text{N-R}}_{\Sigma^0\pi^-}(\text{I}=1)|$
- Similar description of **$\Sigma^+\pi^-$ and $\Sigma^-\pi^+$** production → extraction of $|f^{\text{N-R}}_{\Sigma^+\pi^-}|$ and $|f^{\text{N-R}}_{\Sigma^-\pi^+}|$, a comparison of these could give an estimate of $|f^{\text{N-R}}_{\Sigma^+\pi^-}(\text{I}=0) + f^{\text{N-R}}_{\Sigma^+\pi^-}(\text{I}=1)|$ against $|f^{\text{N-R}}_{\Sigma^+\pi^-}(\text{I}=0) - f^{\text{N-R}}_{\Sigma^+\pi^-}(\text{I}=1)|$



K^-

PART 2

Single & multi – nucleon K^- absorption

kaonic nuclear clusters

investigation through

$\Lambda - d, t$
correlation

Λ p correlation study .. PART 2a

K^-

How deeply can an Antikaon be bound to a nucleus?

Possible bound states: K^-pp – K^-ppn

$\Lambda/\Sigma p$

Λd

predicted due to the strong $\bar{K}N$ interaction in the $I=0$ channel. (Wycech (1986) - Akaishi & Yamazaki (2002))

Different theoretical approaches:

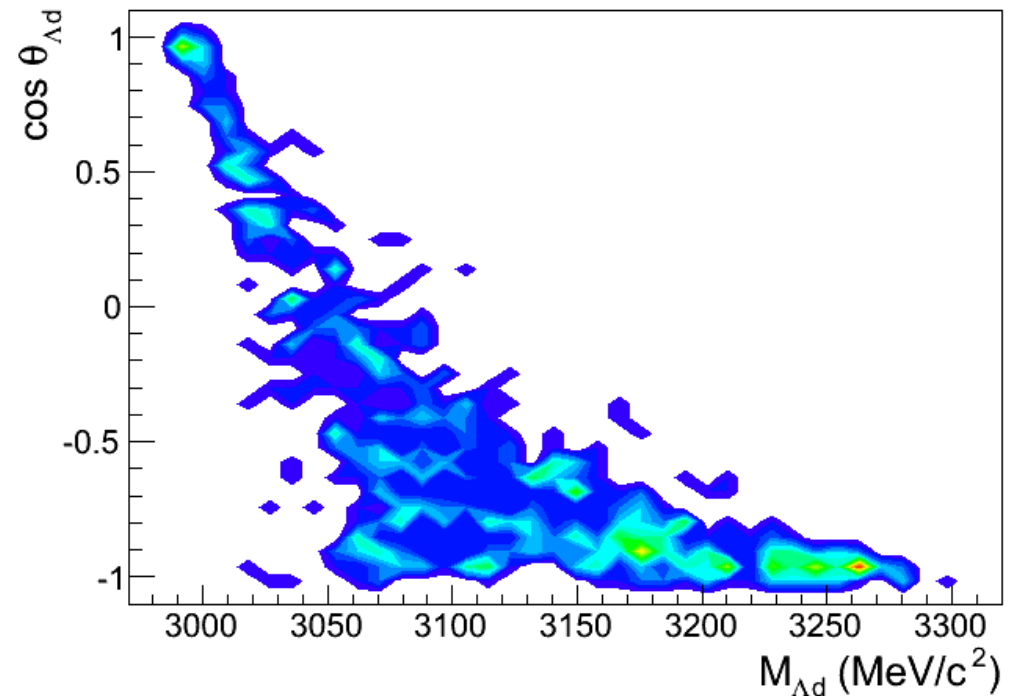
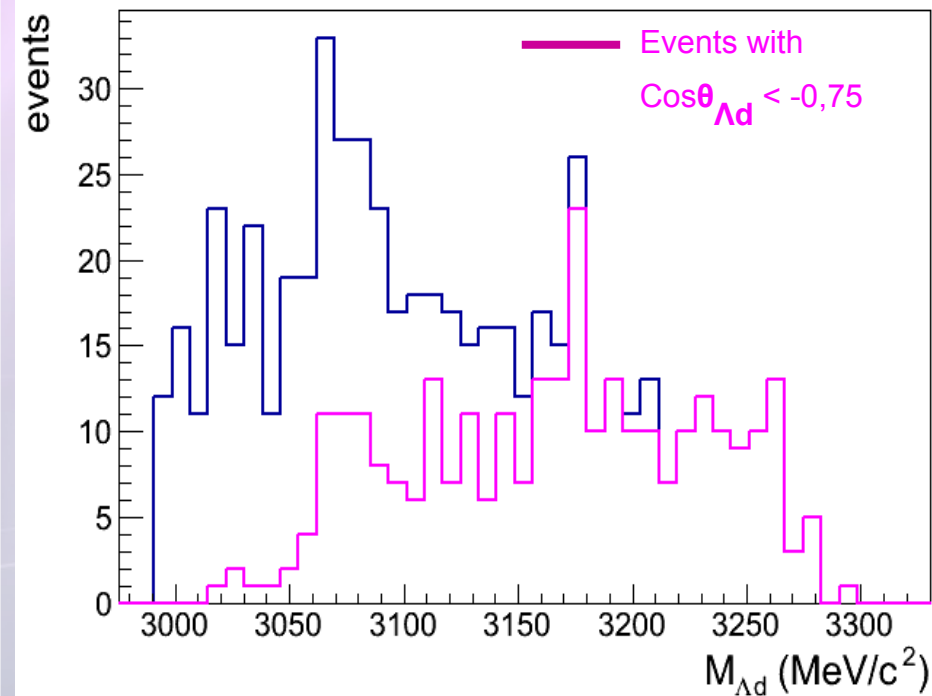
- Few-body calculations solving Faddeev equations
- Variational calculations with phenomenological $\bar{K}N$ potential
- $\bar{K}N$ effective interactions based on Chiral $SU(3)$ dynamics

K^-pp bound state

	Theoretical prediction	B.E (MeV)	Γ (MeV)
PRC76, 045201 (2002)	T. Yamazaki and Y. Akaishi	48	61
arXiv:0512037v2[nucl-th]	A. N. Ivanov, P. Kienle, J. Marton, E. Widman	118	58
PRC76, 044004 (2007)	N. V. Shevchenko, A. Gal, J. Mares, J. Revai	50–70	~100
PRC76, 035203 (2007)	Y. Ikeda and T. Sato	60–95	45–80
NPA804, 197 (2008)	A. Dote, T. Hyodo, W. Weise	20±3	40–70
PRC80, 045207 (2009)	S. Wycech and A. M. Green	56.5–78	39–60
PRL B712, 132-137 (2012)	Barnea et al.	15.7	41.2

K⁻

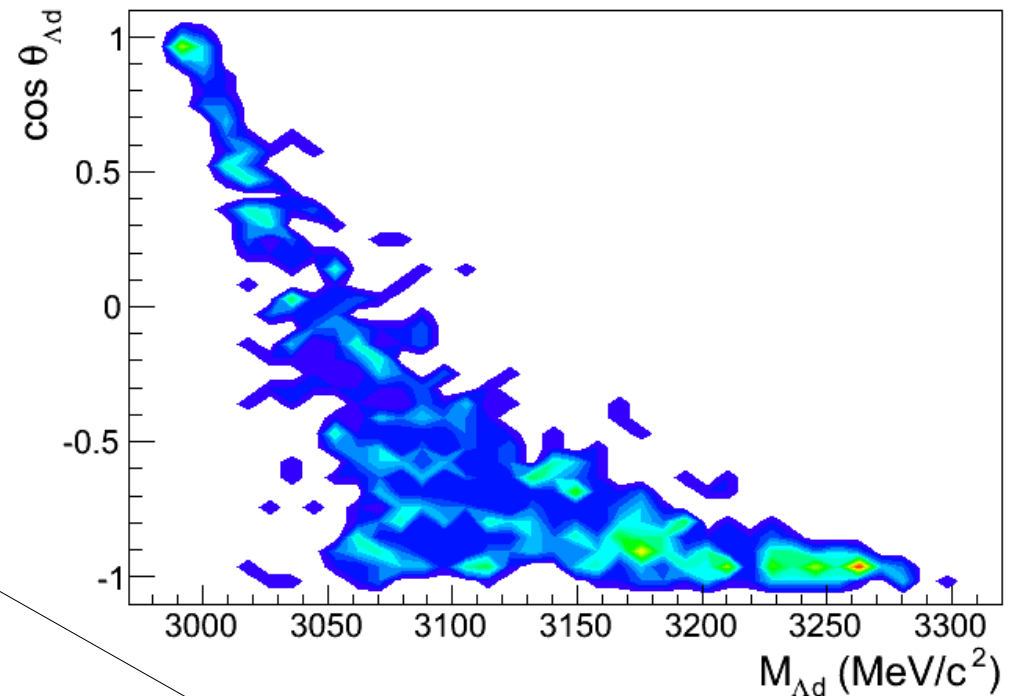
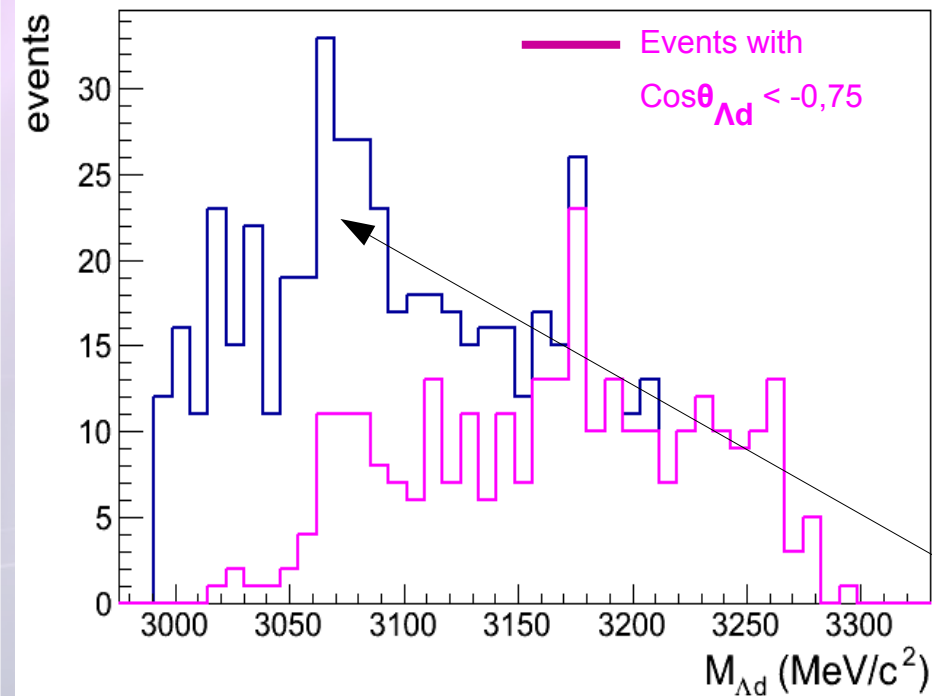
Λ_d search for a K-ppn cluster



- 572 Lambda-deuteron events in DC gas
- Structures at high Mass correlated with back-to-back events

K^-

Λ_d search for a K-ppn cluster



- Fit to be performed
- Possibility to extract information on the cusp effect

Λt correlation study

K^-

Available data:

- in Helium :

- bubble chamber experiment

[M.Roosen, J.H. Wickens, Il Nuovo Cimento 66, (1981), 101]

K^- stopped in liquid helium, Λ dn/t search. **3 events** compatible with the Λt kinematics were found

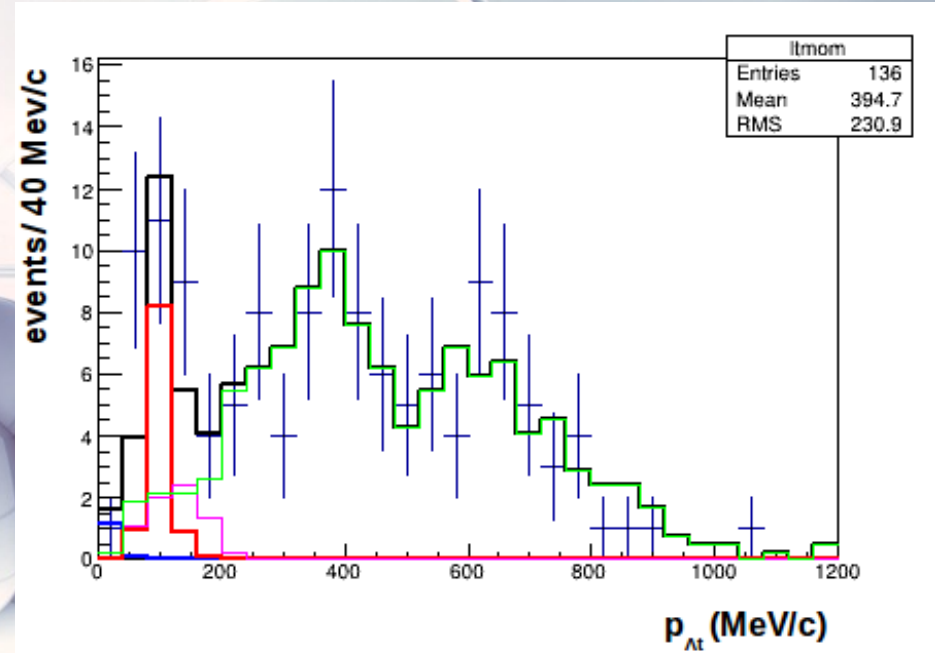
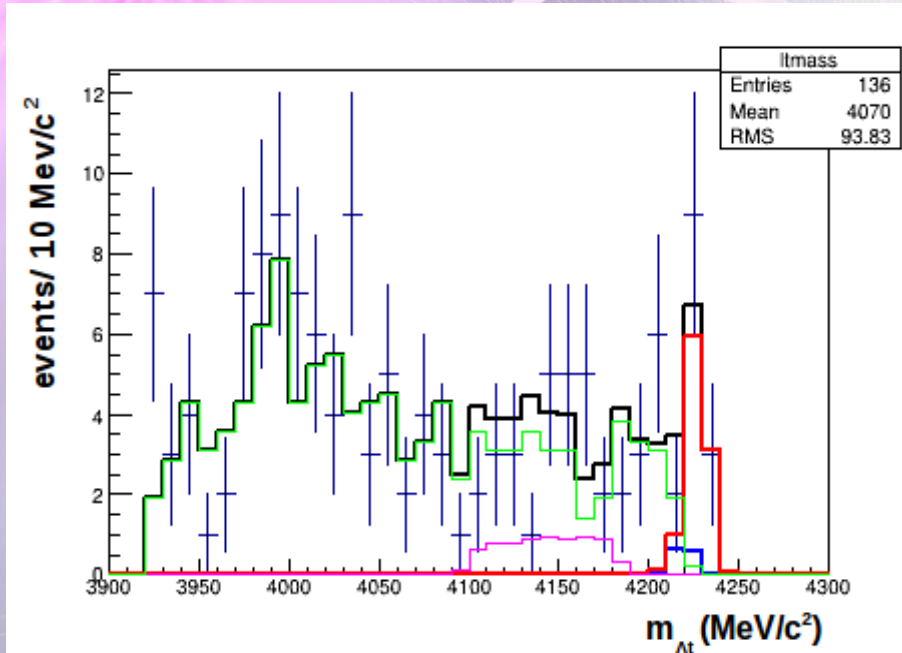
$$BR(K^-4\text{He} \rightarrow \Lambda t) = (3 \pm 2) \times 10^{-4} / K_{\text{stop}} \quad \text{global, no 4NA}$$

- Solid targets

- FINUDA [Phys.Lett. B669 (2008) 229]
(**40 events** in different solid targets)

At correlation studies in ${}^4\text{He}$: mass, momentum and angle simultaneous fit

K^-



+ data

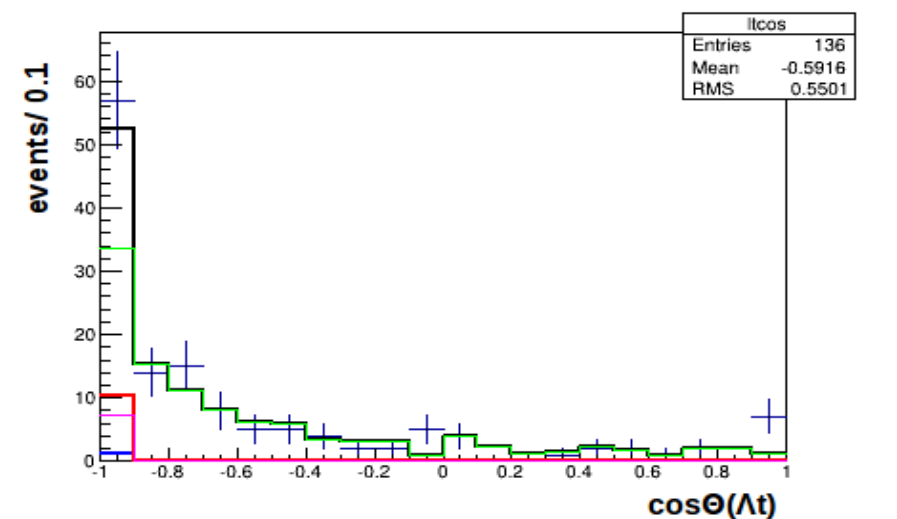
--- carbon data from DC wall

--- 4NA $\text{K}^- {}^4\text{He} \rightarrow \Lambda t$ in flight MC

--- 4NA $\text{K}^- {}^4\text{He} \rightarrow \Lambda t$ at rest MC

--- 4NA $\text{K}^- {}^4\text{He} \rightarrow \Sigma^0 t$, $\Sigma^0 \rightarrow \Lambda \gamma$ MC

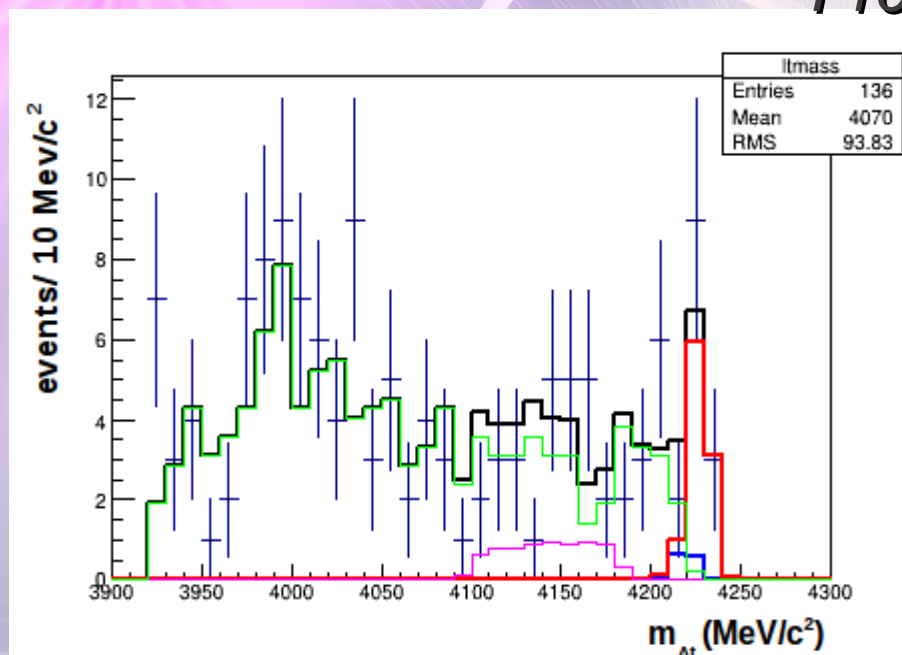
--- 4NA $\text{K}^- {}^4\text{He} \rightarrow \Sigma^0 t$, $\Sigma^0 \rightarrow \Lambda \gamma$ MC



At correlation studies in ^4He : preliminary mass and angle simultaneous fit

K^-

fit
Preliminary



Contribution to the spectra	Parameter value
$K^-^4\text{He} \rightarrow \Lambda t$ at rest	0.01 ± 0.01
$K^-^4\text{He} \rightarrow \Lambda t$ in-flight	0.09 ± 0.02
$K^-^4\text{He} \rightarrow \Sigma^0 t$ in-flight	0.05 ± 0.03
$K^-^{12}\text{C} \rightarrow \Lambda t$ experimental distribution from the carbon DC wall	0.85 ± 0.06
χ^2 / ndf	0.654

parameters giving the contribution of the each process

Total number of events = 136

4NA $K^-^4\text{He} \rightarrow \Lambda t$ at rest $\rightarrow 1 \pm 1$ events

4NA $K^-^4\text{He} \rightarrow \Lambda t$ in flight $\rightarrow 12 \pm 3$ events



$$\text{BR}(K^-^4\text{He}(4\text{NA}) \rightarrow \Lambda t) < 1.3 \times 10^{-4} / K_{\text{stop}}$$

$$\begin{aligned} \sigma(100 \text{ MeV/c}) (K^-^4\text{He}(4\text{NA}) \rightarrow \Lambda t) &= \\ &= (0.42 \pm 0.13(\text{stat})^{+0.01}_{-0.02}(\text{syst})) \text{ mb} \end{aligned}$$

+ data

--- carbon data from DC wall

--- 4NA $K^-^4\text{He} \rightarrow \Lambda t$ in flight MC

--- 4NA $K^-^4\text{He} \rightarrow \Lambda t$ at rest MC

--- 4NA $K^-^4\text{He} \rightarrow \Sigma^0 t$, $\Sigma^0 \rightarrow \Lambda \gamma$ MC

--- 4NA $K^-^4\text{He} \rightarrow \Sigma^0 t$, $\Sigma^0 \rightarrow \Lambda \gamma$ MC

Conclusions part 2

K^-

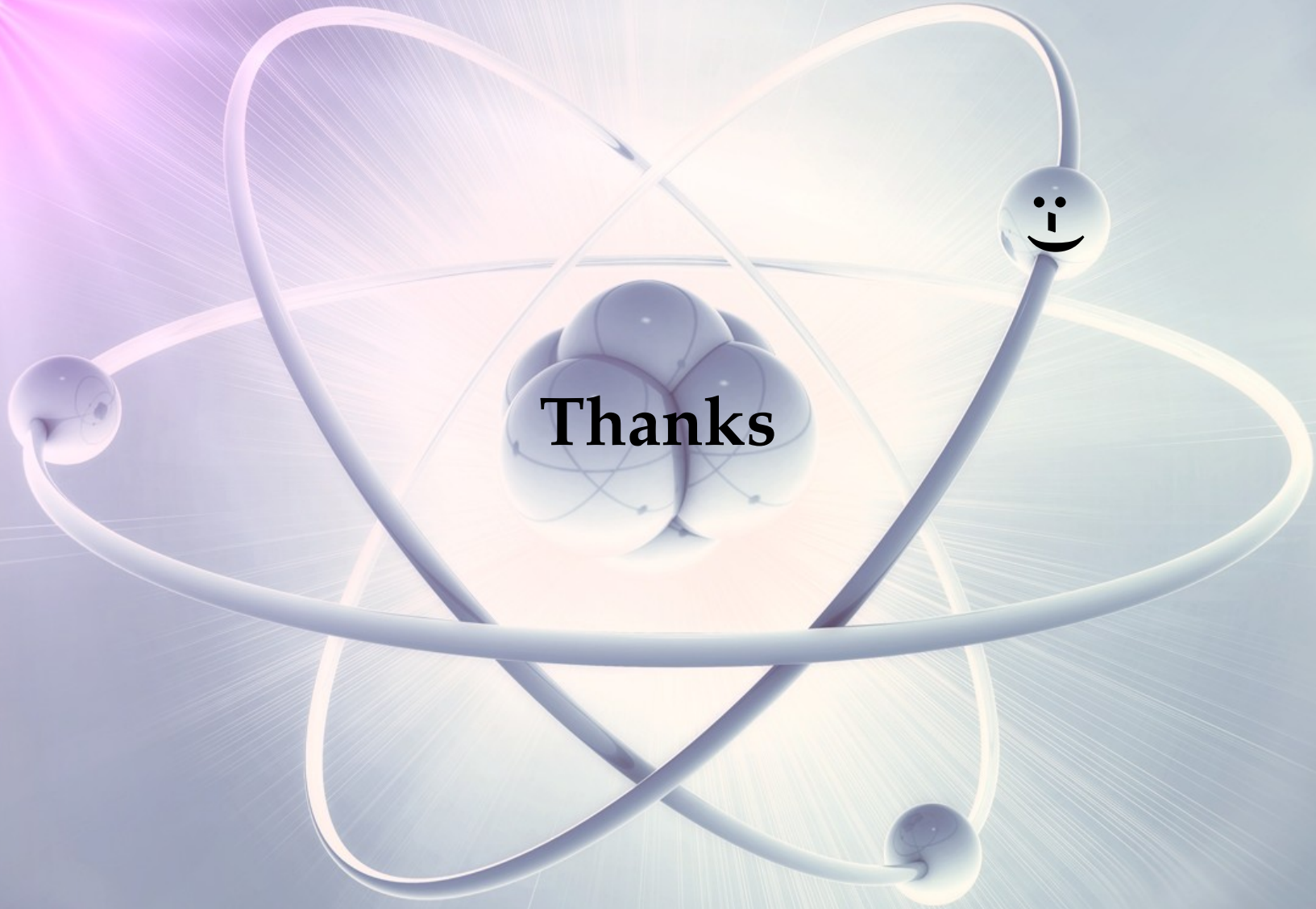
$$BR(K^- \text{He}(4NA) \rightarrow \Lambda t) < 1.1 \times 10^{-4} / K_{\text{stop}}$$

4 NA cross section & 100MeV
measured for the first time

$$\sigma(100 \text{ MeV}/c) (K^- \text{He}(4NA) \rightarrow \Lambda t) = \\ (0.41 \pm 0.13 \text{ (stat) } + 0.01 - 0.02 \text{ (sys)}) \text{ mb}$$

Paper in preparation

K⁻



Thanks