

Charge-exchange scattering amplitude in the Glauber approximation:
the problem of the proportionality of the cross section with
the matrix elements

$$f_{Aa \rightarrow Bb}(\Delta) = ik \sum_{LM} \int b db \mu_{LM}^{Aa \rightarrow Bb}(b) J_M(\Delta b) \\ \times e^{\lambda(b) + \chi(b)} e^{-iM\varphi_{\Delta}}.$$

$$\mu_{LM}^{Aa \rightarrow Bb}(b) = \frac{1}{ik_{NN}} \langle t_a n_a t_b - n_b | 1 n_a - n_b \rangle \langle t_A n_A t_B - n_B | 1 n_A - n_B \rangle$$

$$\times \sum_{J_p J_t} \hat{J}_p \hat{J}_t \langle j_a m_a j_b - m_b | J_p m_a - m_b \rangle \langle j_A m_A j_B - m_B | J_t m_A - m_B \rangle$$

$$\times \sum_{KS} \hat{K} \sum_{l_p l_t L_{pt}} \hat{L}_{pt} \begin{Bmatrix} l_p & l_t & L_{pt} \\ S & S & K \\ J_p & J_t & L \end{Bmatrix} [[B_{l_p} B_{l_t}]^{L_{pt}} B_K]_M^L \int q dq \hat{\rho}_{ab}^{l_p, S, J_p}(q) \hat{\rho}_{AB}^{l_t, S, J_t}(q) f_{NN}^{1SK}(q),$$

charge-exchange
transition density
in the projectile

charge-exchange
transition density
in the target

Example: population of ^{208}Tl via $(^{13}\text{C}, ^{13}\text{N})$ reaction

Approach:

structure: RPA calculation (strength and transition density for
 $L=0,1,2,3$)

dynamics: Glauber model for charge-exchange processes

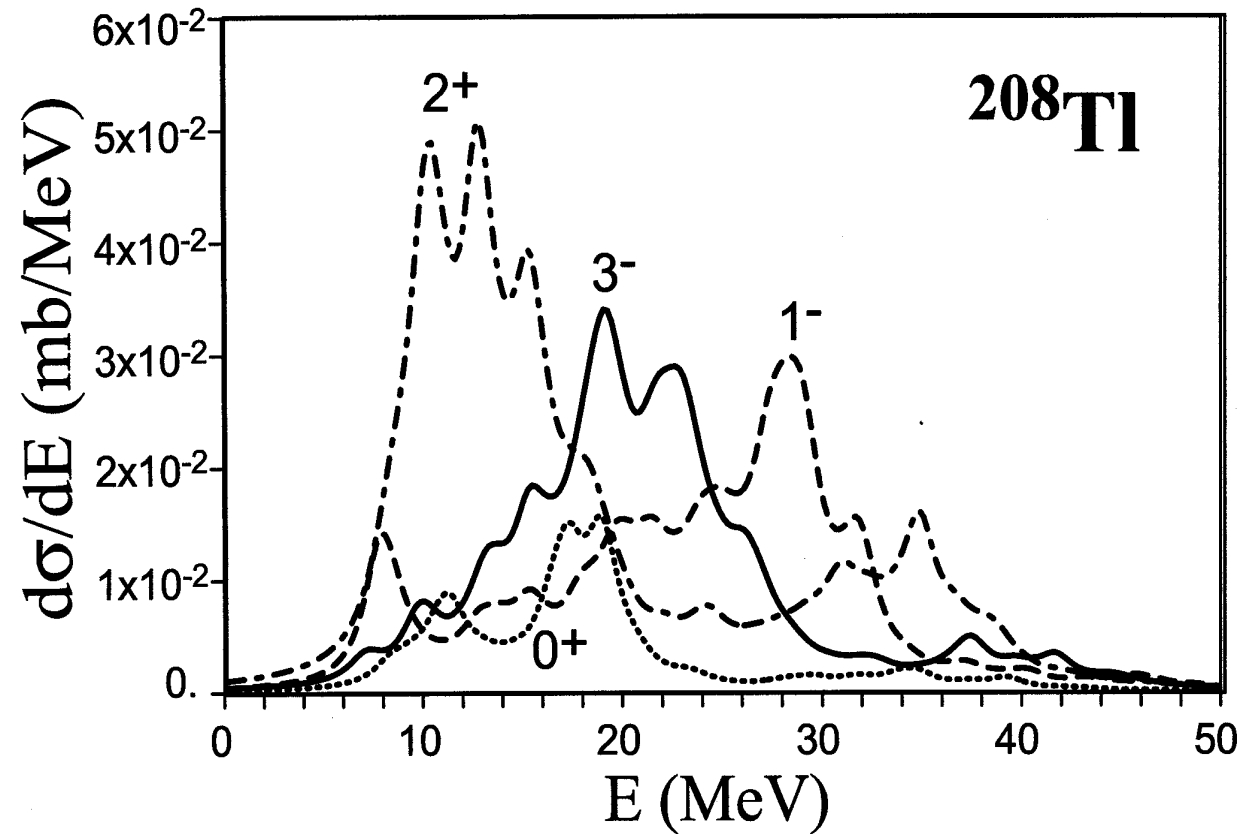
**Obs: $(^{13}\text{C}, ^{13}\text{N})$ transition favors non-spin flip
Fermi over Gamow-Teller in ^{208}Tl**

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$^{208}\text{Pb}(^{13}\text{C}, ^{13}\text{N})^{208}\text{Tl}$ $E/A=60$ MeV

Calculated excitation
function:
contribution of
different
multipolarities

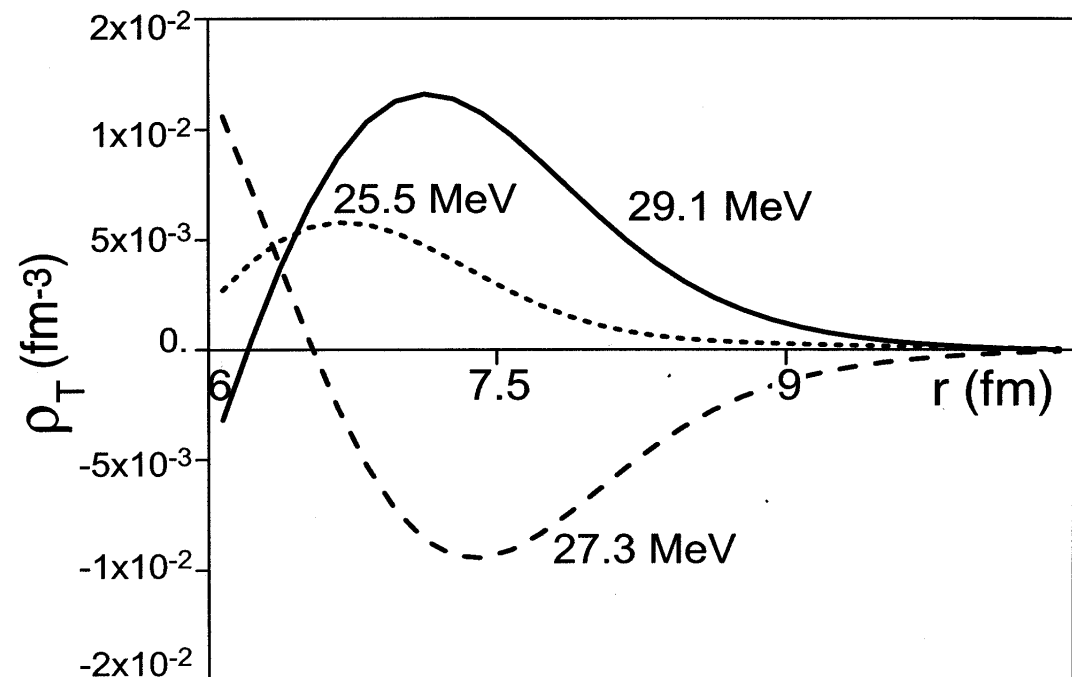




Transition densities: radial behaviour

Dipole charge-exchange
response in ^{208}Tl

Transition densities for
three selected dipole
states





Charge-exchange cross section vs strength

$^{208}\text{Pb}(^{13}\text{C}, ^{13}\text{N})^{208}\text{Tl}$ $E/A=60$ MeV

