

Carbon Deposition by Film Delamination and X-ray Mirror Curvature Control

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Current IRES \$150K (with overhead)

3-4 summers, 4-5 students per summer (\$2,000/months + airline ticket)

Started in 2010. Grant supports travel and allowance

What Mechanical Engineering students skills are helpful?

- CAD/Design
- Data acquisition
- Mechanics of Materials
- FEM
- Thermodynamics/Heat transfer
- Fluid Mechanics
- Vibrations
- Robotics

Outline

- X-ray optics stability and control, temperature and strain distribution simulations
- Stress relief effects in thin films and multilayers
- Electrowetting experiments

Thin film residual stress

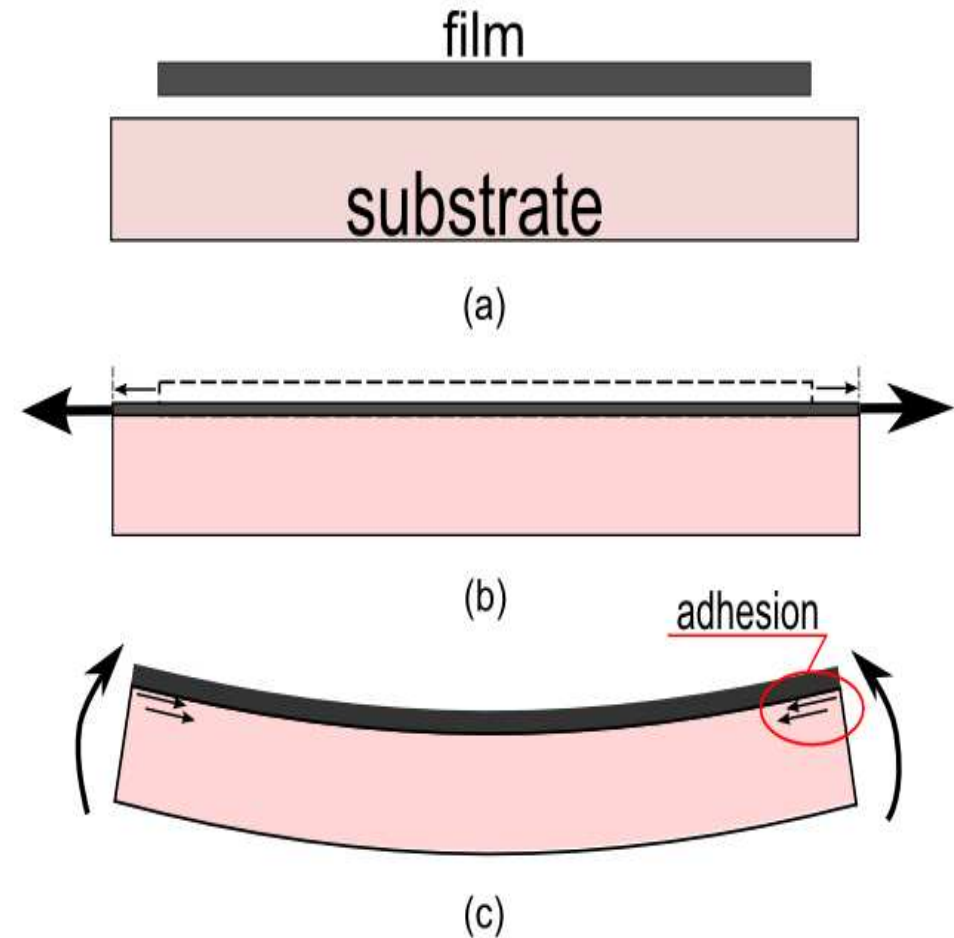
- Thermal
 - Intrinsic
 - Epitaxial
- Total residual stress

Consequences

- New equilibrium state
- Failure
- Promotes diffusion

Length scales of stress

- Microscopic
- Macroscopic



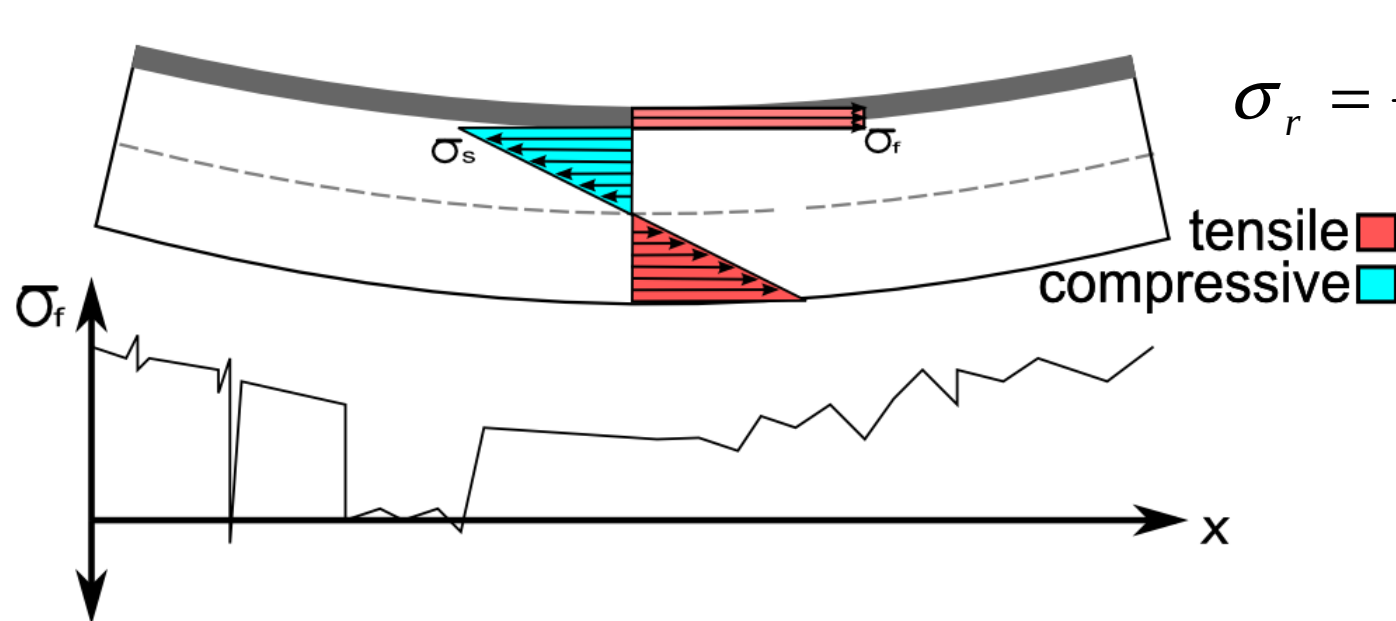
Measuring residual stress

Film material strain

- X-ray Diffraction
Bragg's law
- Raman spectroscopy

Substrate curvature

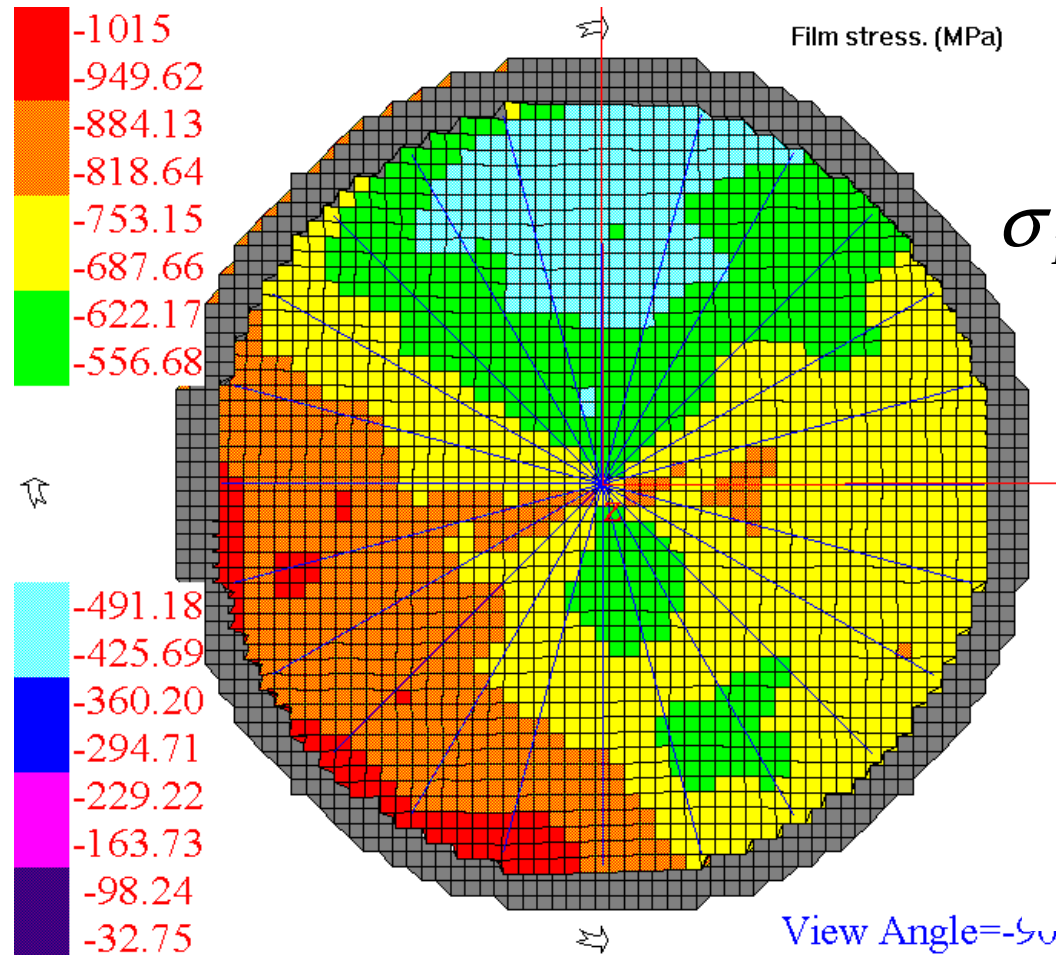
- Optical interferometry
- Optical profiling
- Mechanical profiling



$$\sigma_r = \frac{E_s \cdot t_s^2 \cdot \Delta k}{6 \cdot (1 - \nu_s)^2 \cdot t_f}$$

Macroscopic vs.
Microscopic measurements

Modified Stoney Formulas



For non-uniform film thickness

$$\sigma_R(r) = \frac{E_s}{1-\nu_s} \frac{\Delta k(r) h_s^2}{6 h_f(r)} c(r)$$

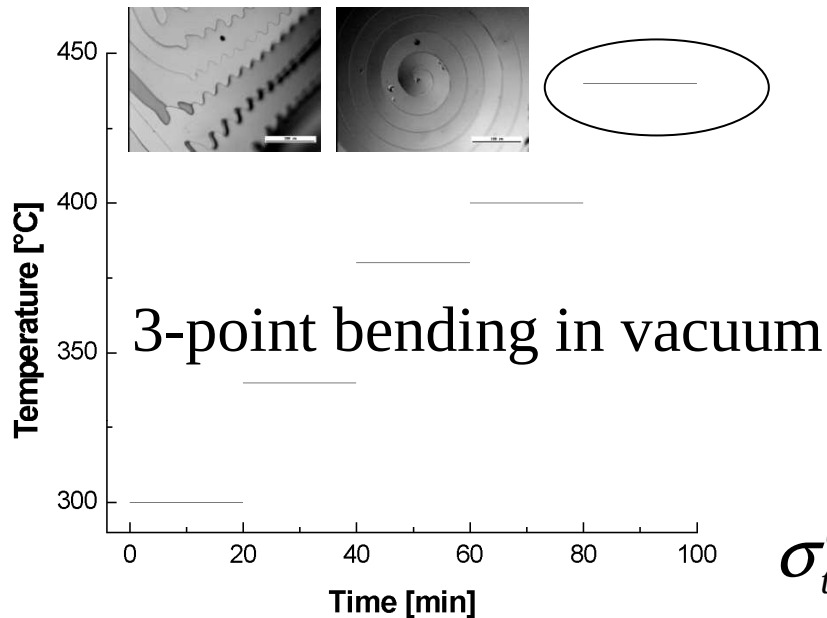
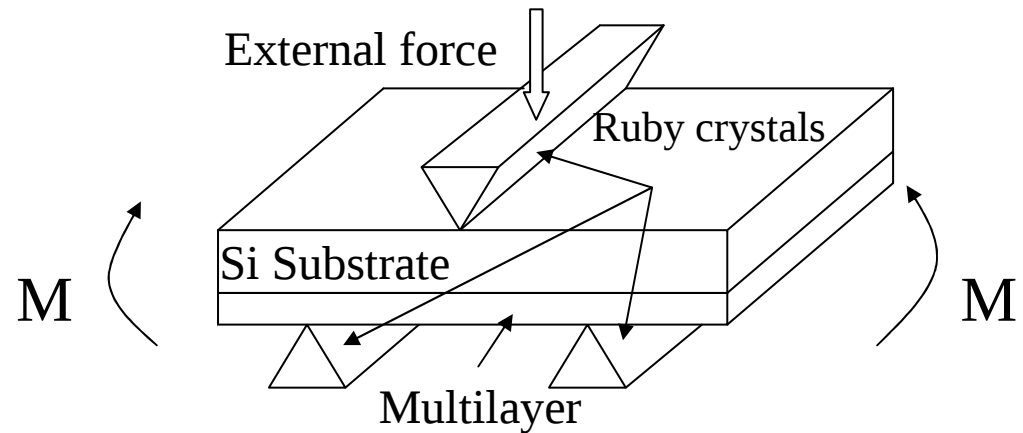
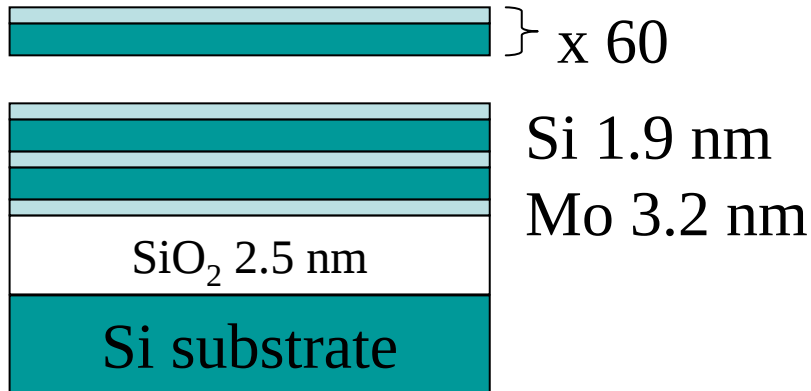
Residual Stress in CVD-grown 3C-SiC Films on Si Substrates, A.A. Volinsky, G. Kravchenko, P. Waters, J. Deva Reddy, C. Locke, C. Frewin, S.E. Saddow, Mat. Res. Soc. Symp. Proc. Vol. 1069, D3.5, 2008

2D case:

$$\sigma_R = \frac{E_s}{1-\nu_s} \frac{h_s^2}{6 h_f R_1} \left[1 + \left[\frac{\nu}{1+\nu} \right] \cdot \left[\frac{R_1}{R_2} - 1 \right] \right]$$

TiWN film on 6" Si wafer

Mo/Si Mirror Bending Experiments



$$\sigma_r^{comp.} \approx 100 \text{ MPa}$$

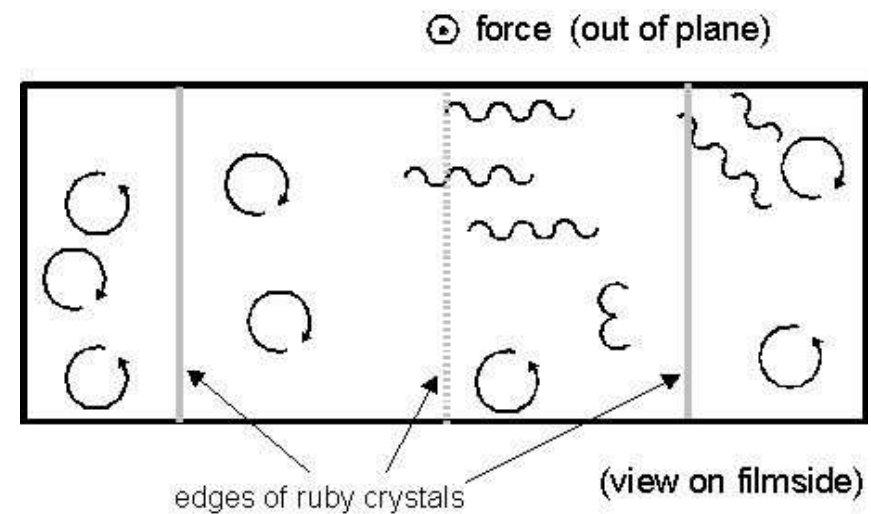
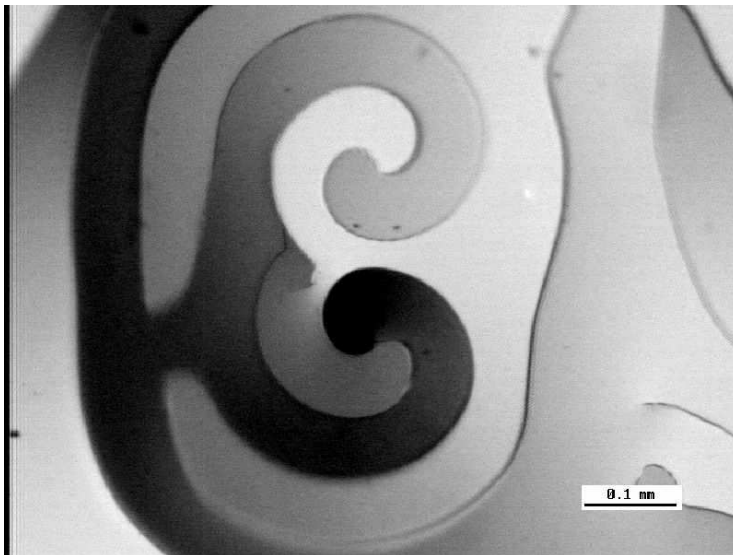
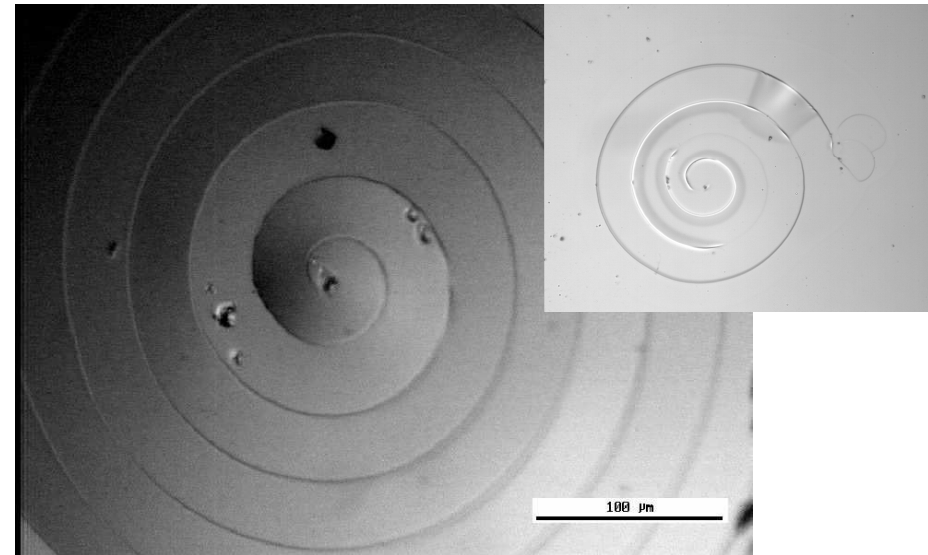
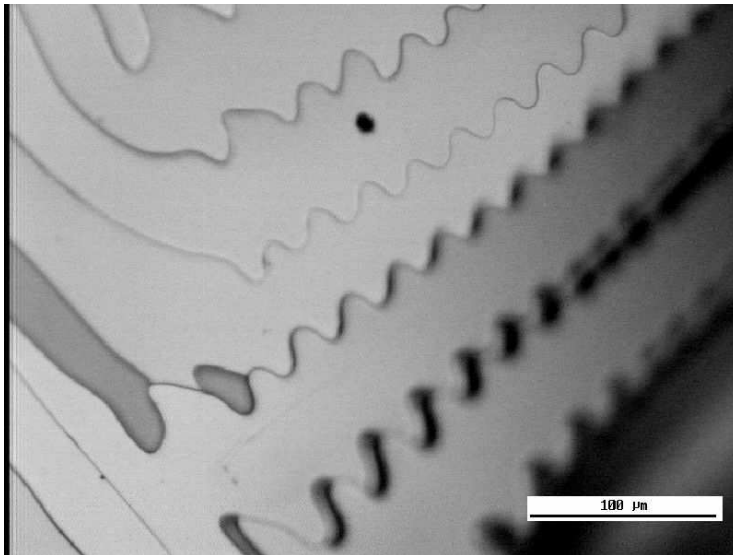
$$\sigma_T^{comp.} = \frac{\Delta \alpha \Delta T E_f}{1 - \nu_f} = 460 \text{ MPa}$$

$$\sigma_{bend}^{tens.} = \frac{Mt}{2I} = 225 \text{ MPa}$$

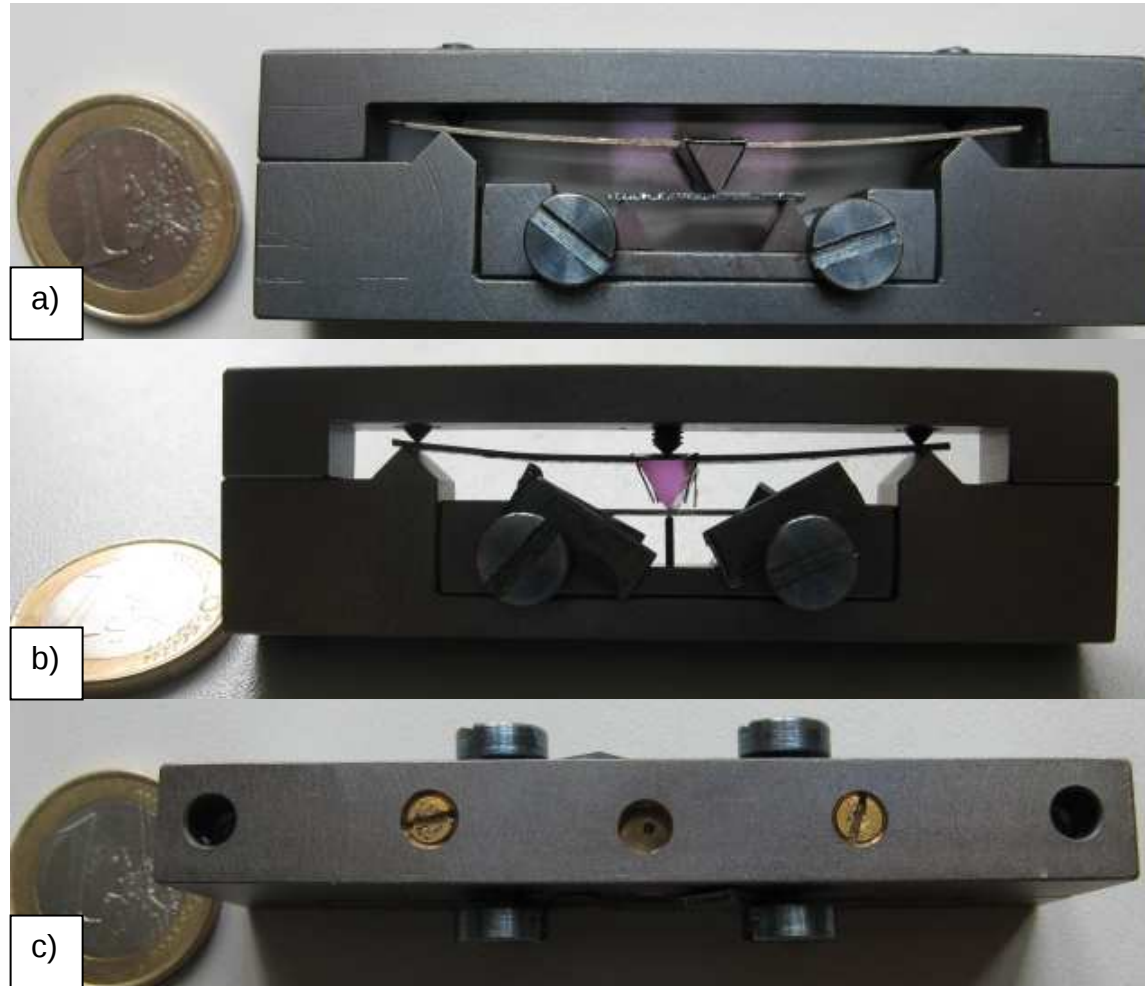
$$\sigma_{total}^{comp.} = \sigma_{residual} + \sigma_{bending} + \sigma_T = 335 \text{ MPa}$$

D.C. Meyer, T. Leisegang, A.A. Levin, P. Paufler, A.A. Volinsky, Appl. Phys. A 78, pp. 303-305, 2004

Tensile Crack Patterns: Mo/Si



3-point Bending Fixture Improvement



Before modification

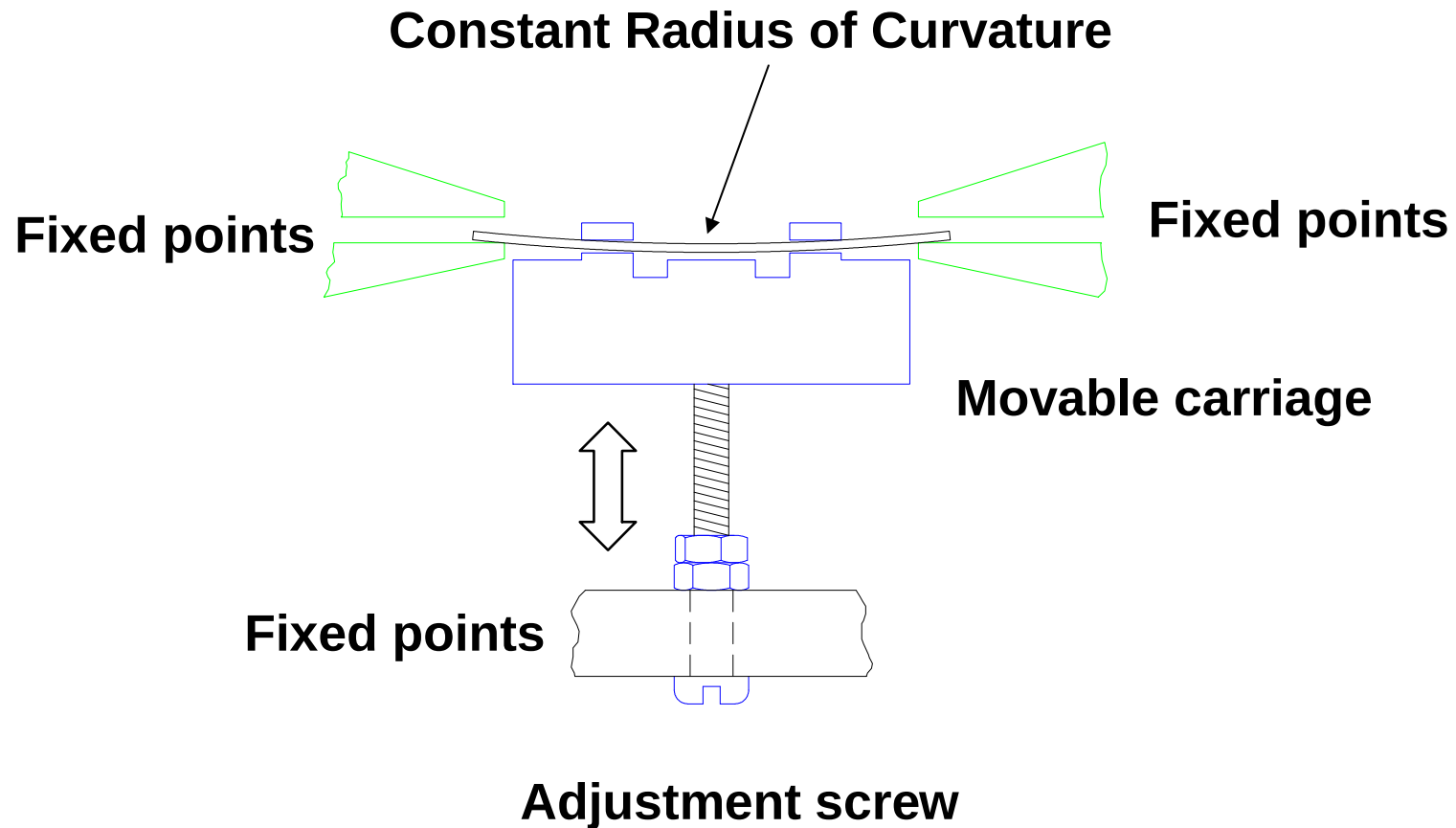
Modified fixture

80-100 μm beam displacement,

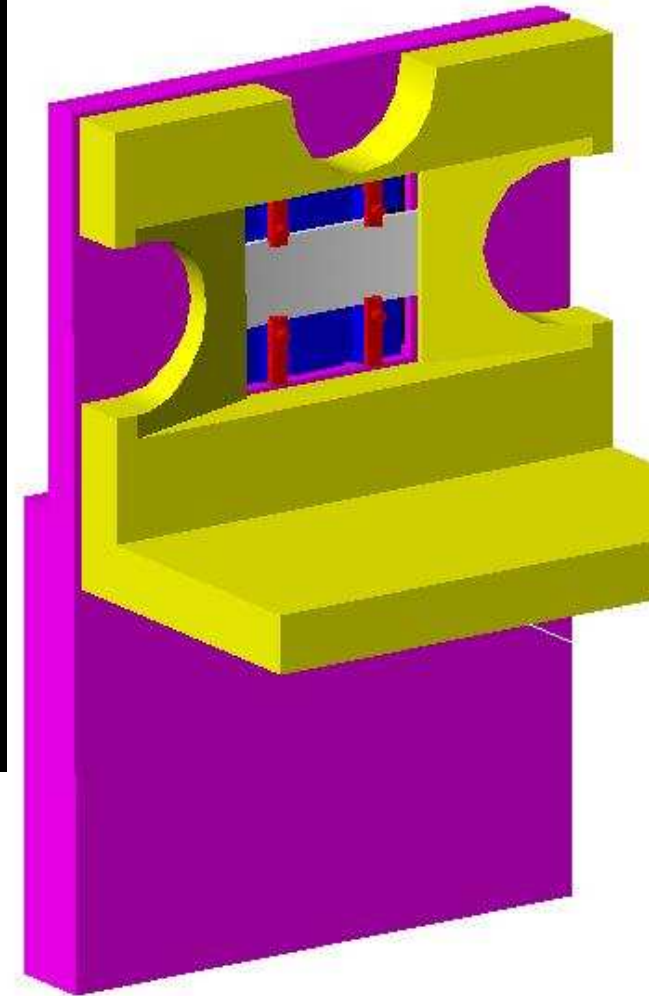
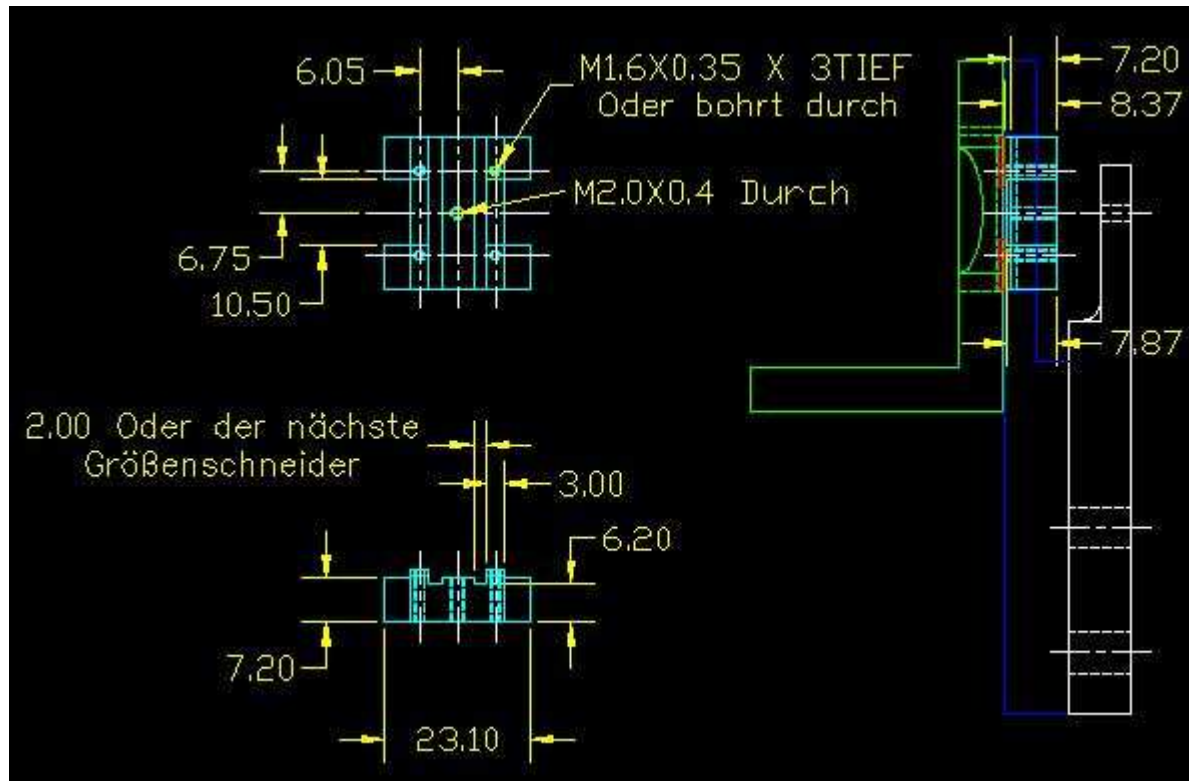
15-19 N Force,

250-350 MPa max. normal stress due to bending

4-Point Bending Fixture



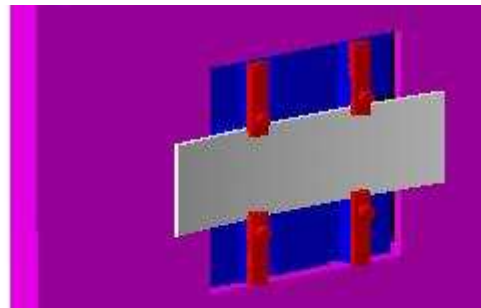
In-Situ 4-point Bending Fixture. Tension-Compression



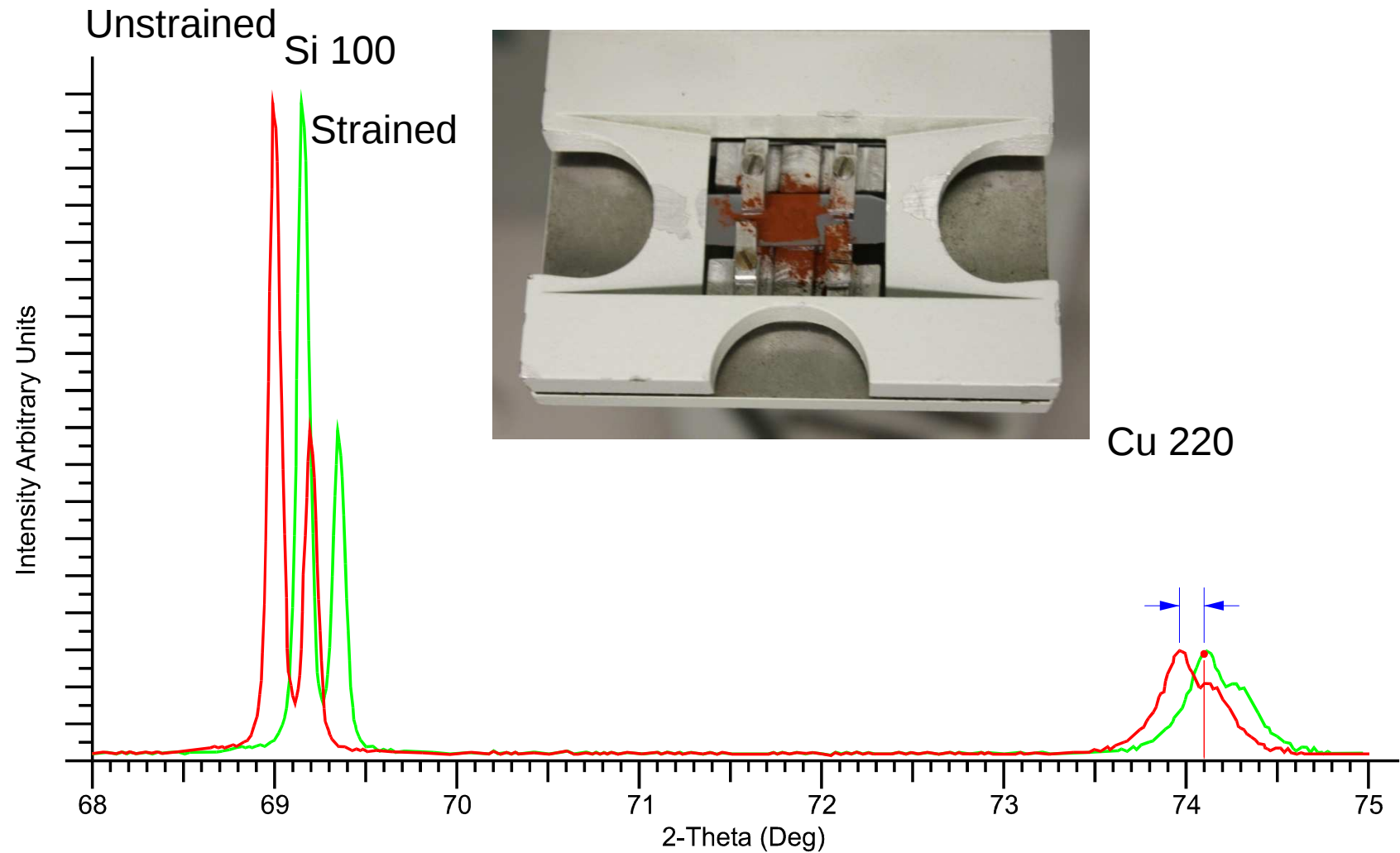
James Rachwal

5 days of AutoCAD work

3 weeks machining

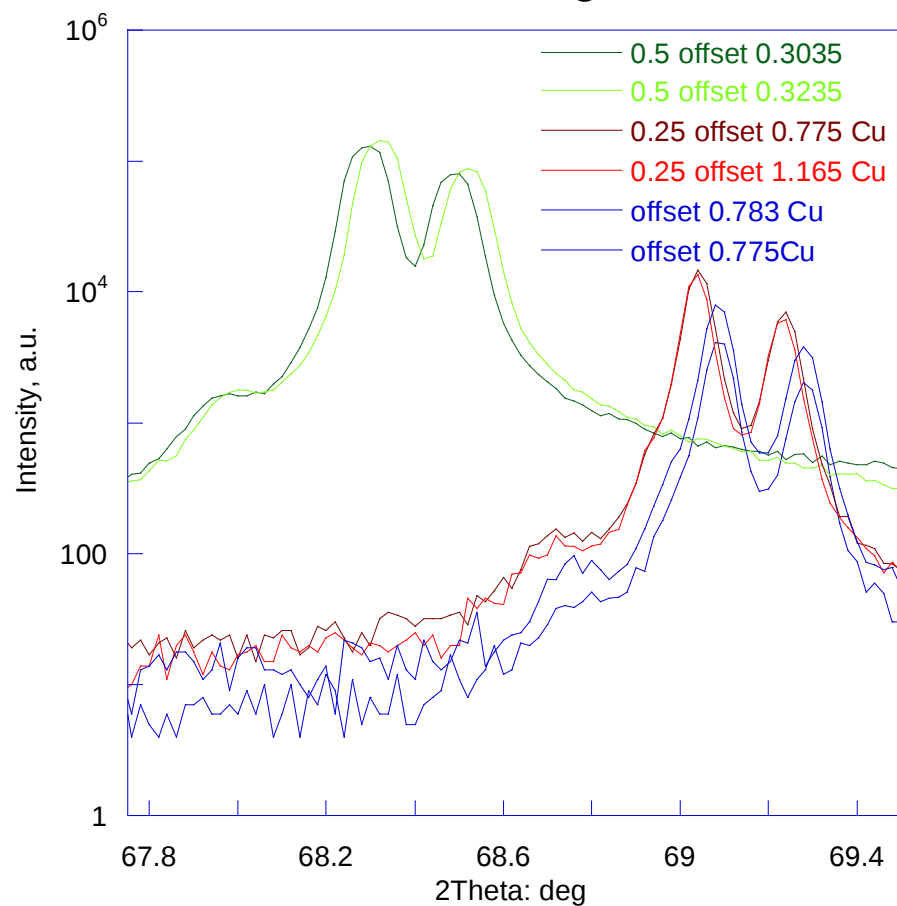


Copper Powder Corrections



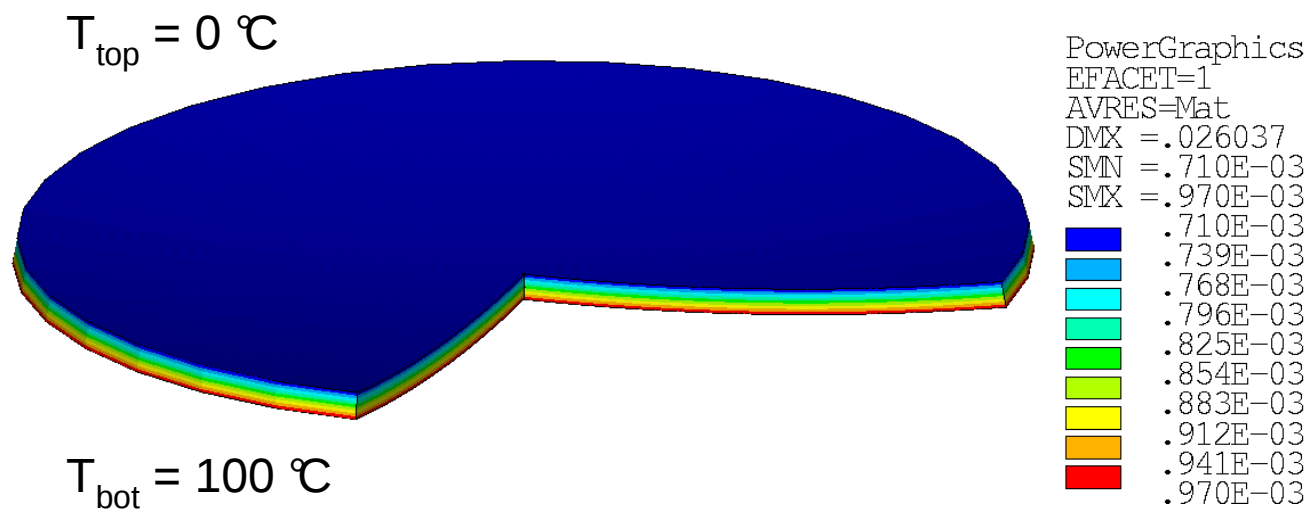
Bending Fixture Preliminary Data

Si Bending



Curvature due to temperature gradient T_z

- Axisymmetric model of 0.5 mm Si substrate
- Steady-state
- No films, bare Si

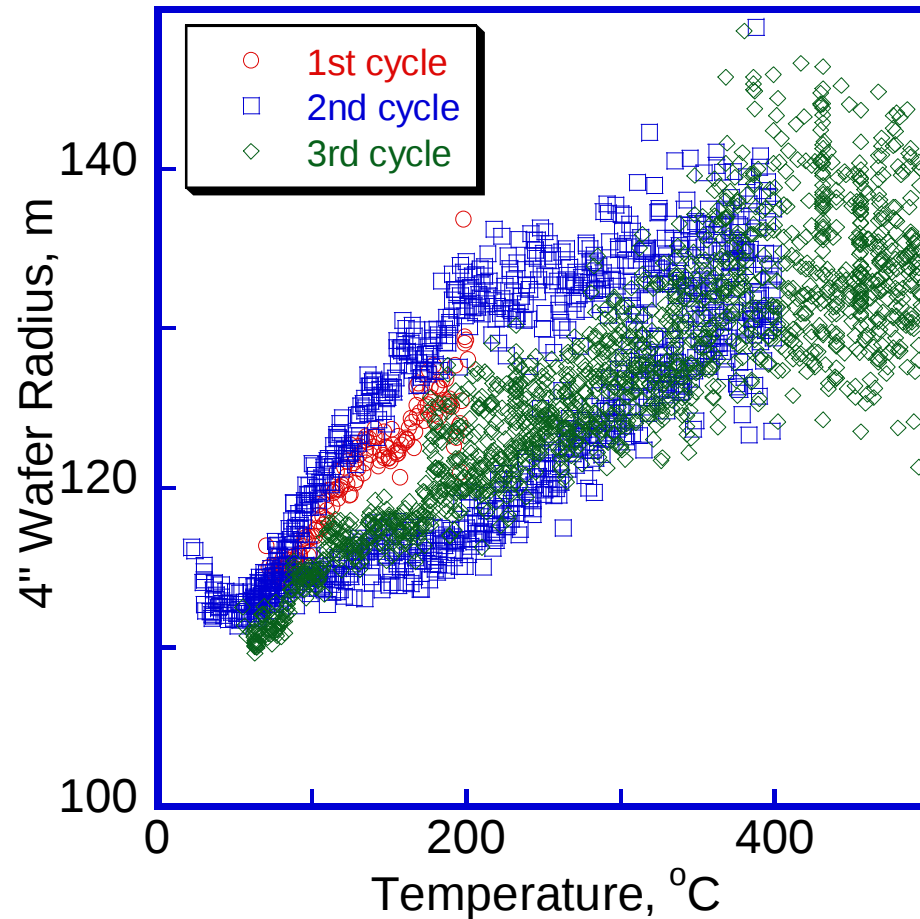


- Radius of curvature: $R = 2 \text{ m}$

Grygoriy Kravchenko

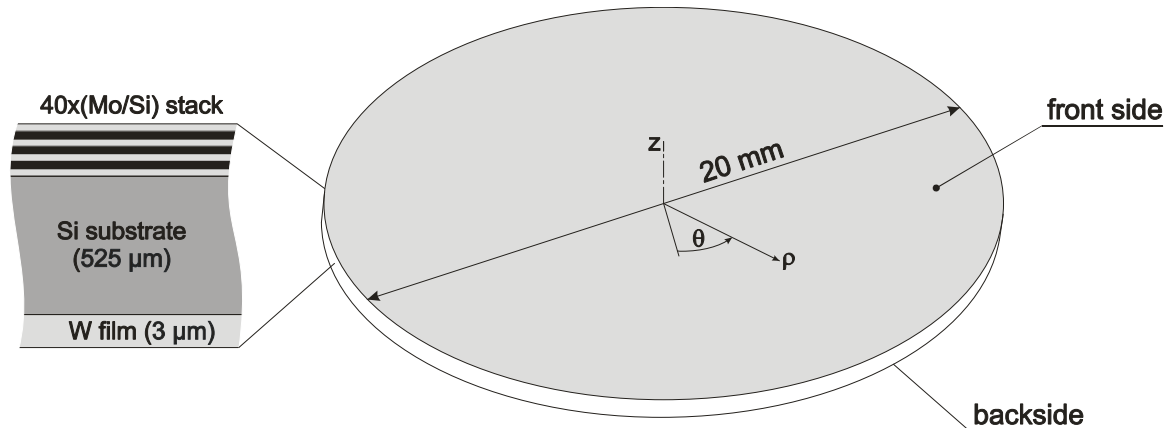
Modeling GIGO problem

4" Si Wafer Uniform Heating



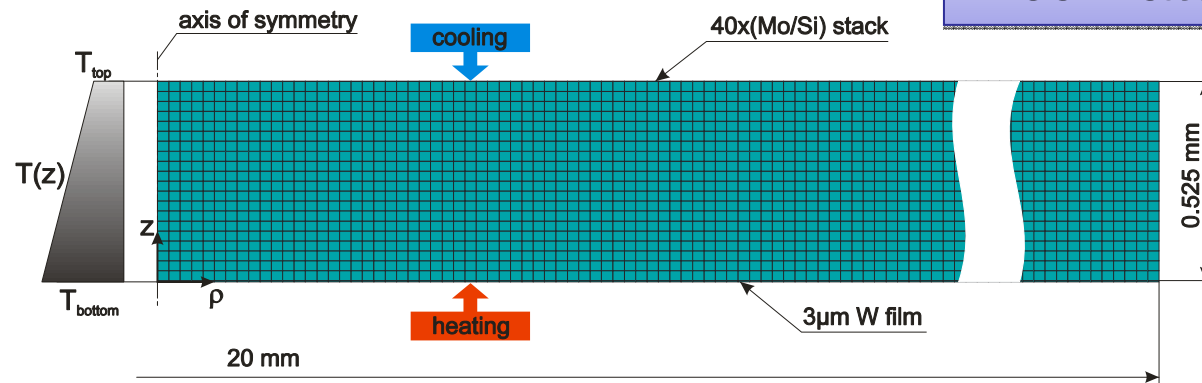
Uniform slow heating, wafer becomes flatter with T due to thin SiO_2 layer,
Similar to the simulation results

Temperature gradient with films



- Target radius of curvature:
 $R = 10 \text{ m}$
- $T_{\text{upper}} = 100 \text{ }^{\circ}\text{C}$

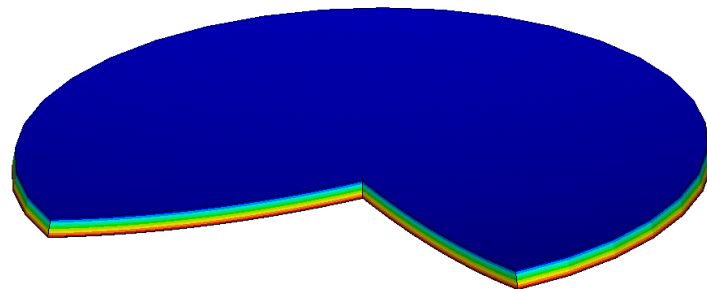
Thermally-induced curvature control?



Axisymmetric finite element model

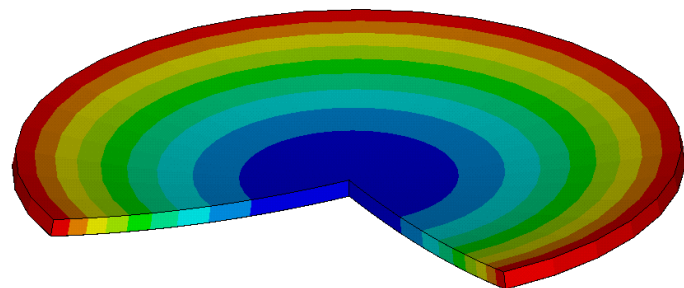
Temperature gradient $\Delta T_z = 20\text{ }^{\circ}\text{C}$

Total radial strains

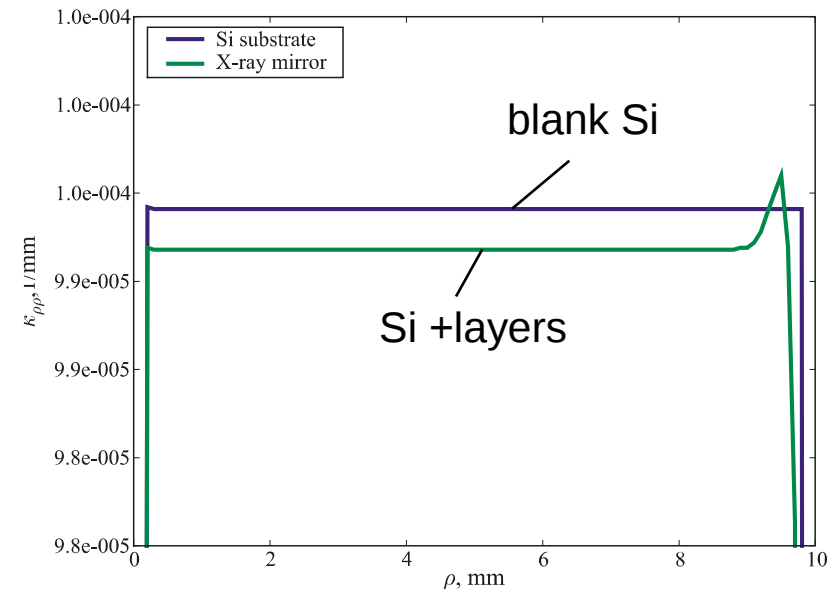


NODAL SOLUTION
STEP=1
SUB =1
TIME=1
/EXPANDED
EPTX (AVG)
RSYS=0
PowerGraphics
EFACET=1
AVRES=Mat
DMX =.004224
SMN =-.101E-05
SMX =.517E-04
-.101E-05
.485E-05
.107E-04
.166E-04
.224E-04
.283E-04
.341E-04
.400E-04
.458E-04
.517E-04

Out-of-plane displacement



NODAL SOLUTION
STEP=1
SUB =1
TIME=1
/EXPANDED
UY (AVG)
RSYS=0
PowerGraphics
EFACET=1
AVRES=Mat
DMX =.004999
SMN =-.131E-04
SMX =.004984
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.542E-03
.001097
.001653
.002208
.002763
.003318
.003874
.004429
.004984



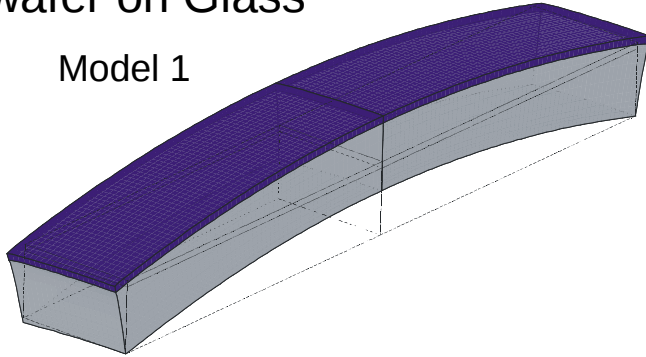
Curvature vs. radial position

- Curvature is uniform - spherical surface (small deformations)
- Influence of Mo/Si and W layers is small (thermal mismatch is negligible)

X-ray mirror deformed shape

Si wafer on Glass

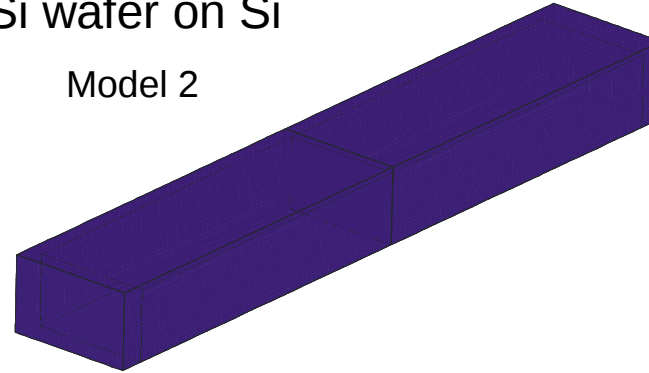
Model 1



largest thermal expansion mismatch

Si wafer on Si

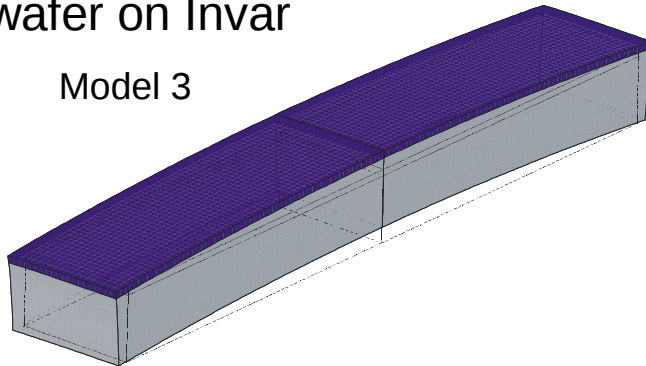
Model 2



no thermal expansion mismatch

Si wafer on Invar

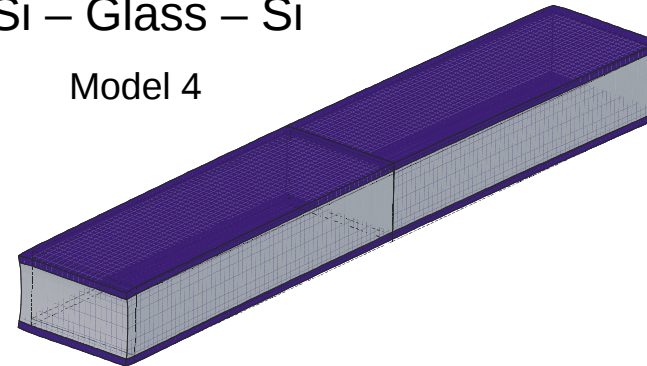
Model 3



smallest thermal expansion mismatch

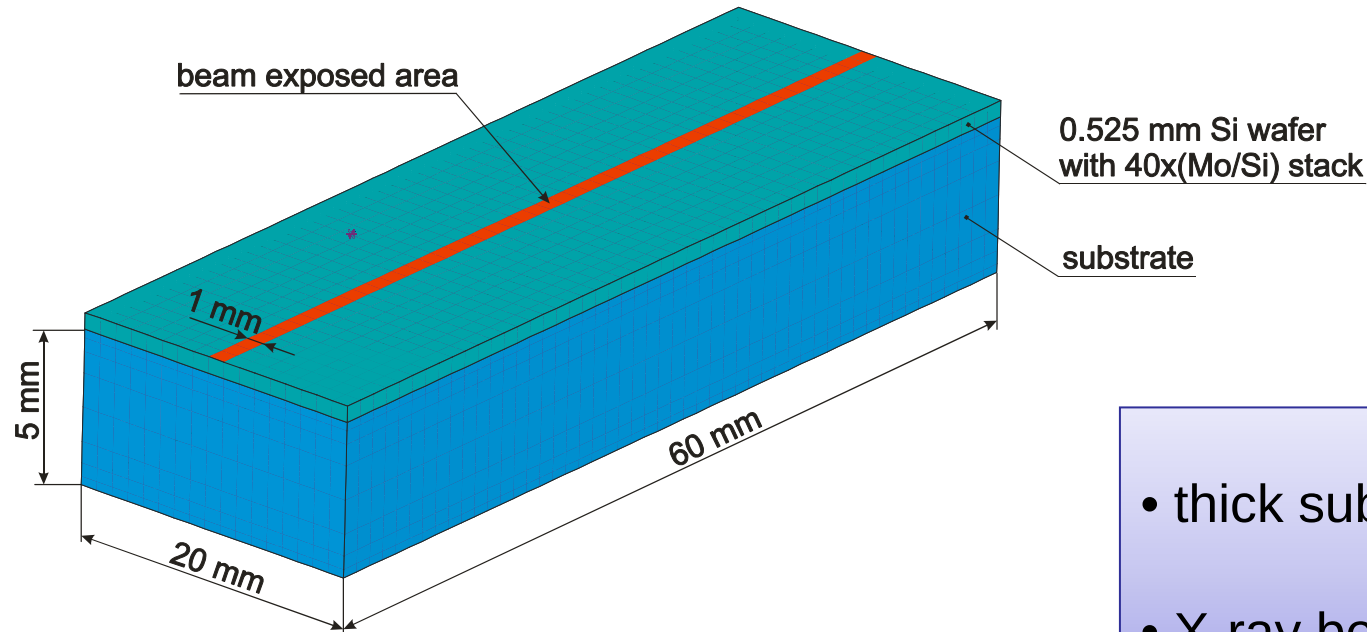
Si – Glass – Si

Model 4



compensated thermal expansion mismatch

X-ray mirror thermal deformations



- thick substrate
- X-ray beam: 1 W/cm²

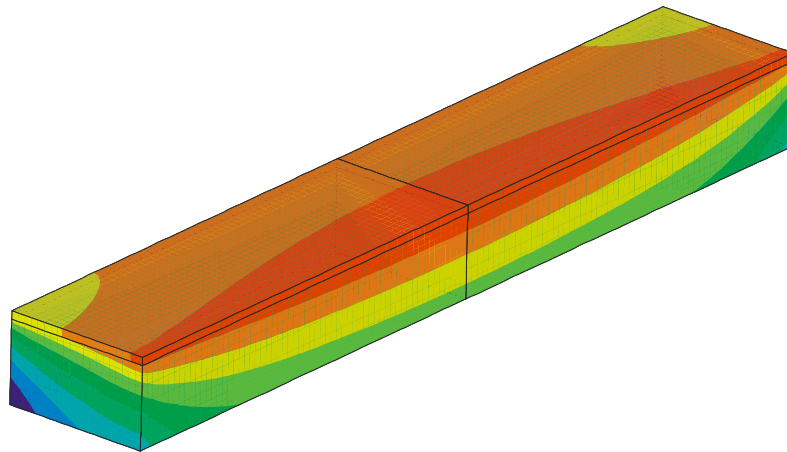
1. Solve the thermal problem
2. Solve the structural problem

Identify materials/geometry influence

Model variations:

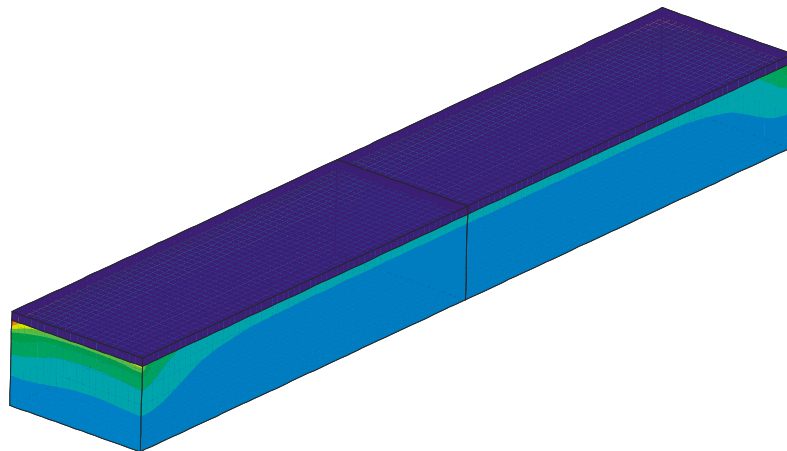
1. Si wafer on Glass
2. Si wafer on Si
3. Si wafer on Invar
4. Si wafer – Glass – Si wafer

Thermal results (Model 1)



PLOT NO. 1
NODAL SOLUTION
STEP=1
SUB =1
TIME=125
/EXPANDED
TEMP (AV
RSYS=0
PowerGraphic
EFACET=1
AVRES=Mat
SMN =312.244
SMX =314.574
312.244
312.503
312.762
313.021
313.28
313.538
313.797
314.056
314.315
314.574

- temperature increases up to 15 °C
- almost uniform temperature distribution

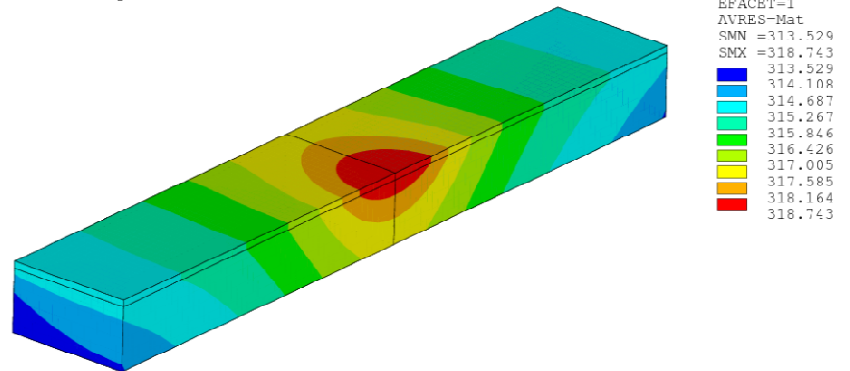


PLOT NO. 1
NODAL SOLUTION
STEP=1
SUB =1
TIME=125
/EXPANDED
TGZ (AV
RSYS=0
PowerGraphic
EFACET=1
AVRES=Mat
SMN =-1.408
SMX =935.656
-1.408
102.71
206.829
310.947
415.065
519.183
623.301
727.42
831.538
935.656

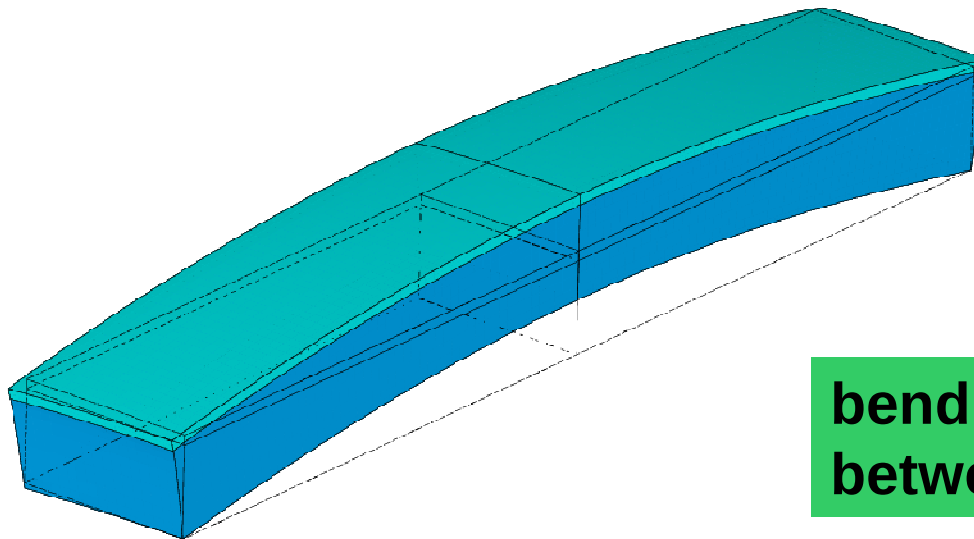
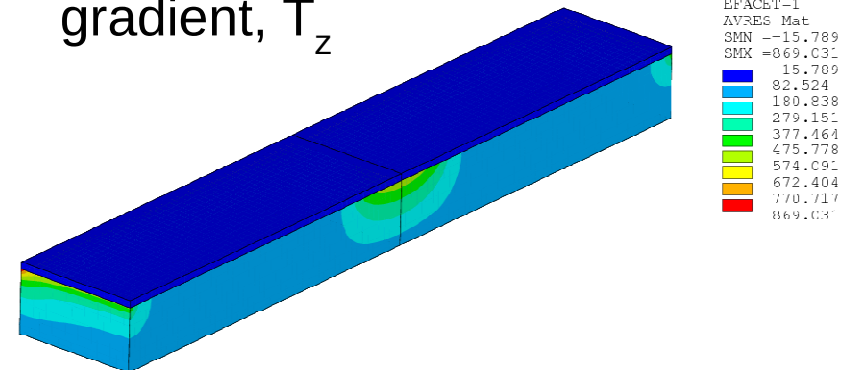
- very small temp. gradient ∇T_z in Si
- small ∇T_z in glass (<0.1 °C/mm) (away from the material corners)

Si on Glass substrate, 1 W/cm²

temperature field



temperature gradient, T_z



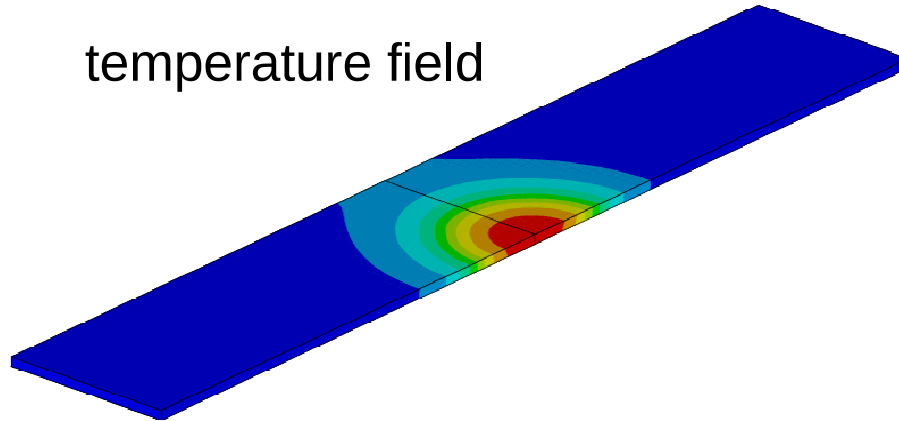
/EXPANDED
PowerGraphics
EFACET=1
AVRES=Mat
DMX =.256E-05

DSCA=1171
XV =-.7
YV =-.57
ZV =.4
*DIST=.023965
*XF =-.004797
*YF =.001195
*ZF =.00419
A-2S-70.4
PRECISE HIDDEN
EDGE

**bending due to Δ CTE
between Si and glass substrate**

Si, 300 W/cm² (BESSY)

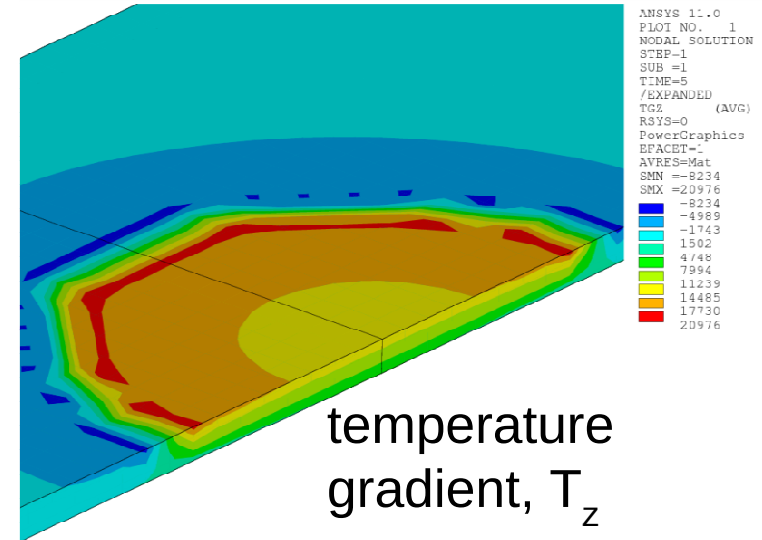
temperature field



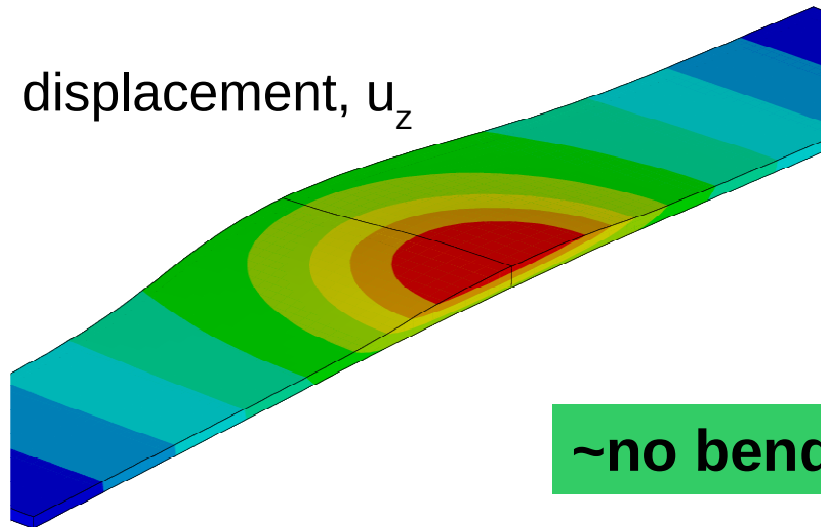
RSYS=0
PowerGraphics
EFACET=1
AVRES=Mat
SMN =301.059
SMX =566.665

301.059
330.571
360.082
389.594
419.106
448.618
478.129
507.641
537.153
566.665

temperature gradient, T_z



displacement, u_z

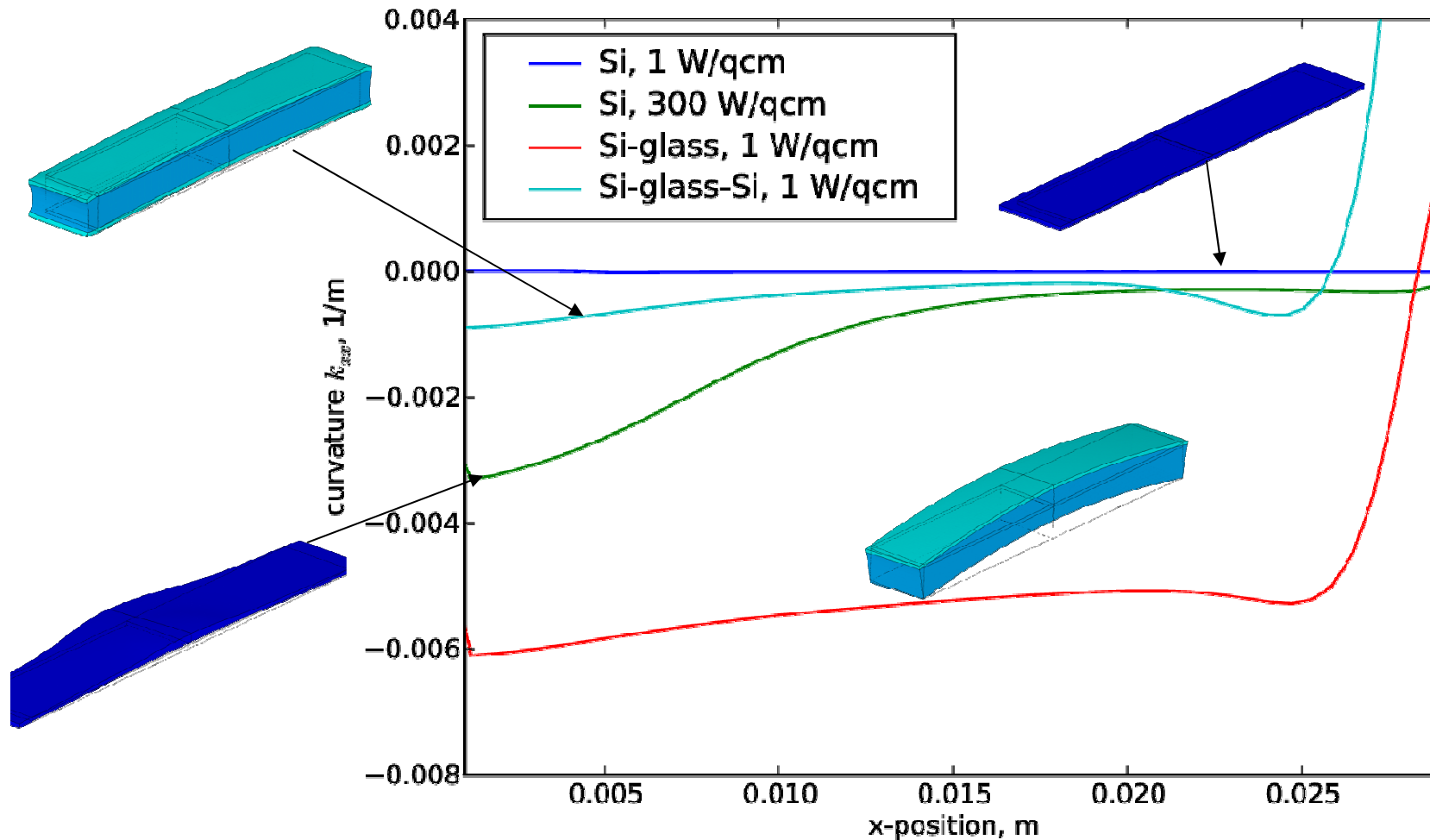


TIME=1
/EXPANDED
UZ (AVG)
RSYS=0
PowerGraphics
EFACET=1
AVRES=Mat
DMX =.263E-05
SMN =-.318E-08
SMX =.114E-05

-.318E-08
.124E-06
.251E-06
.377E-06
.504E-06
.631E-06
.758E-06
.885E-06
.101E-05
.114E-05

~no bending, just thermal expansion of Si

Curvature



highest curvature with Si on Glass

FEM: X-ray mirror thermal deformations

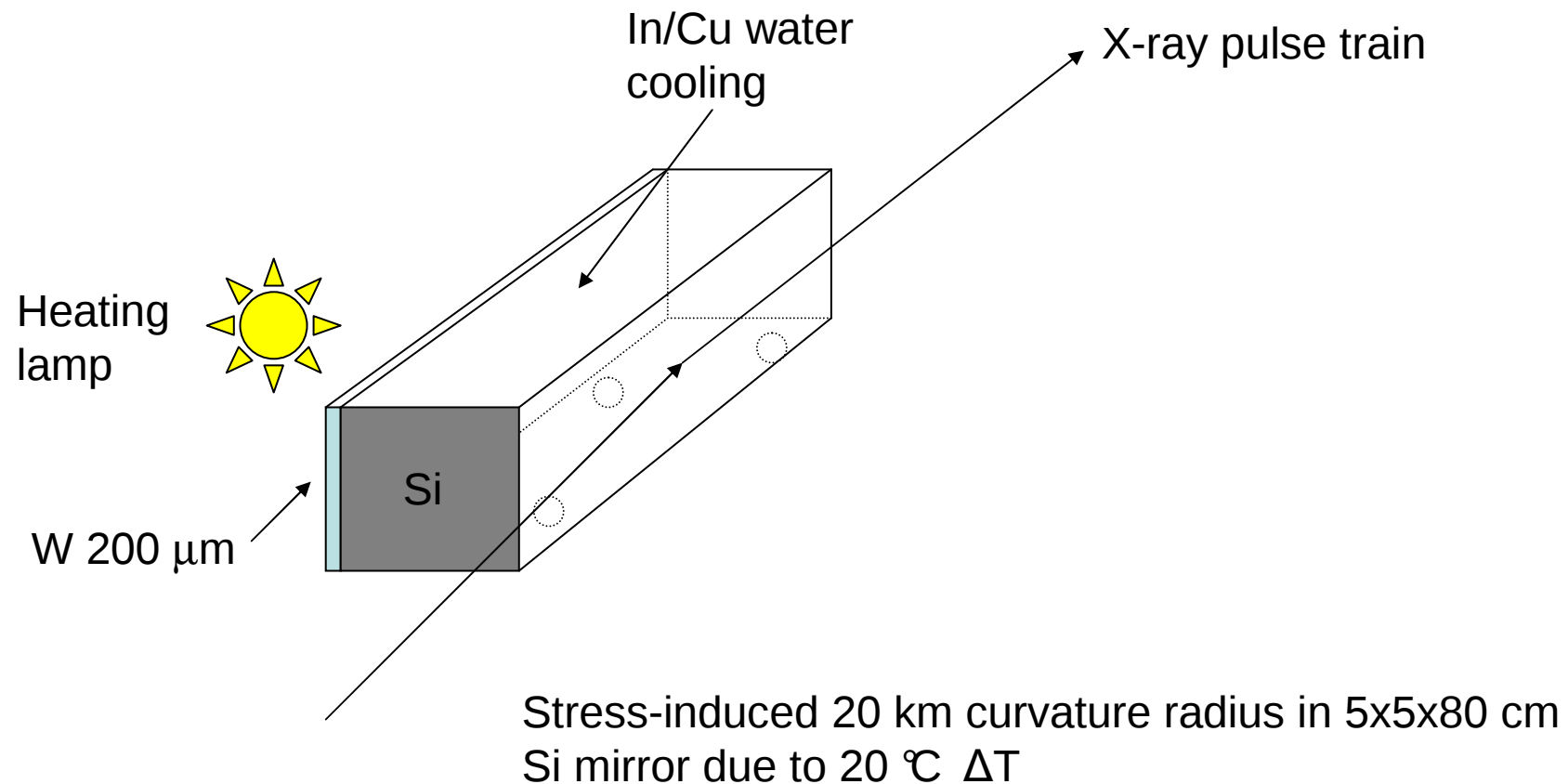
1. X-ray mirror (Si wafer):

- a) Target radius of curvature $R = 10 \text{ m}$ can be achieved by application of the through-thickness temperature gradient of about $20 \text{ }^{\circ}\text{C}$
- b) the upper limit ($RT+20 \text{ }^{\circ}\text{C}$) does not exceed the maximum operational temperature of $100 \text{ }^{\circ}\text{C}$

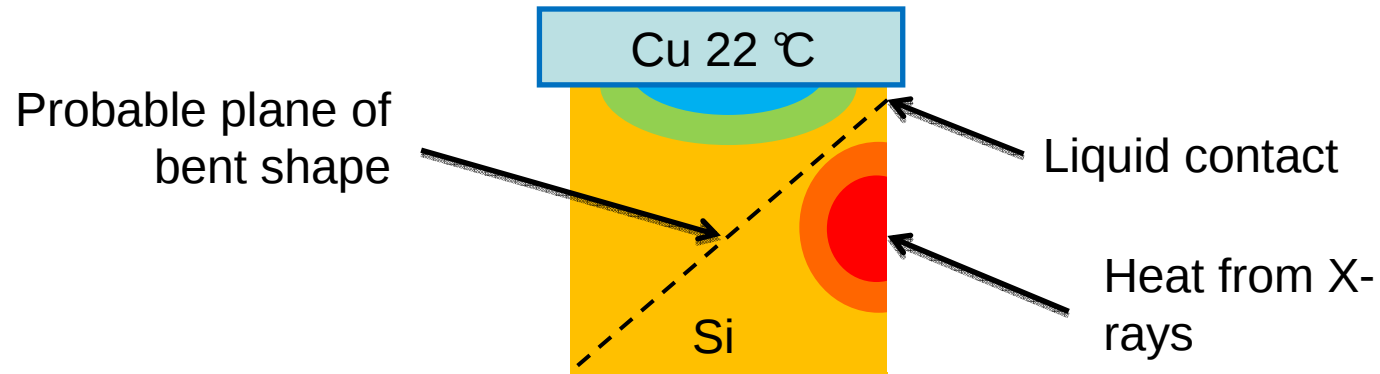
2. Optics element exposed to the X-ray beam:

- a) temperature distribution is almost uniform (in steady-state)
- b) X-ray beam with the power of 1 W/cm^2 heats the structure up to $15 \text{ }^{\circ}\text{C}$
- c) minimization or compensation of the thermal expansion mismatch is an effective way to reduce thermal deformations

XFEL Mirror Curvature Control

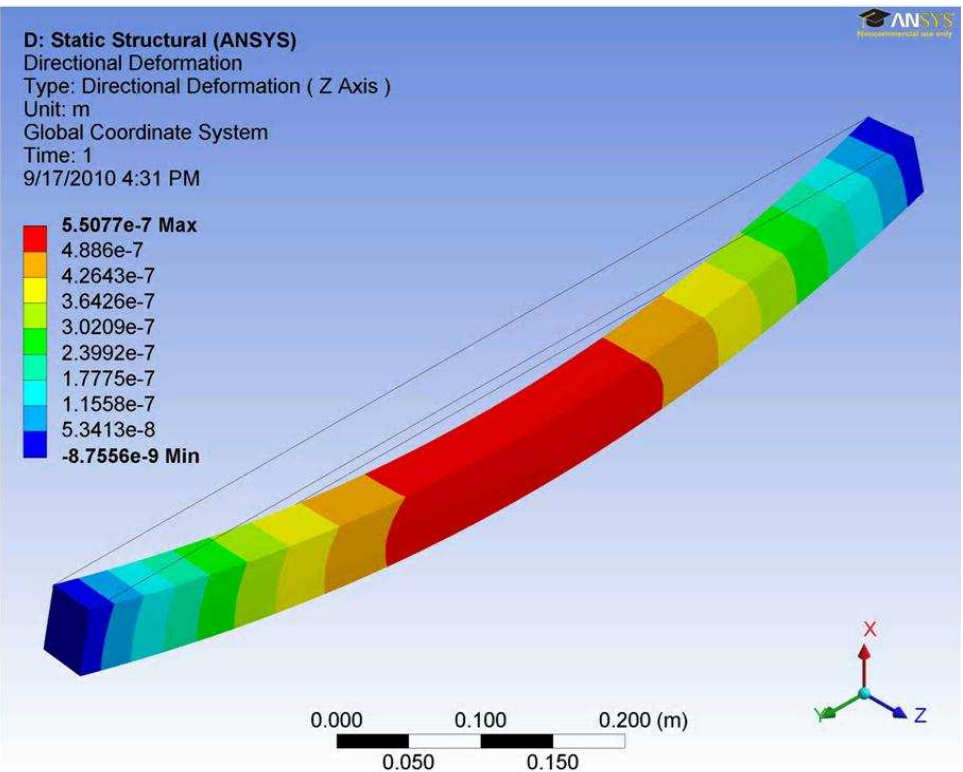
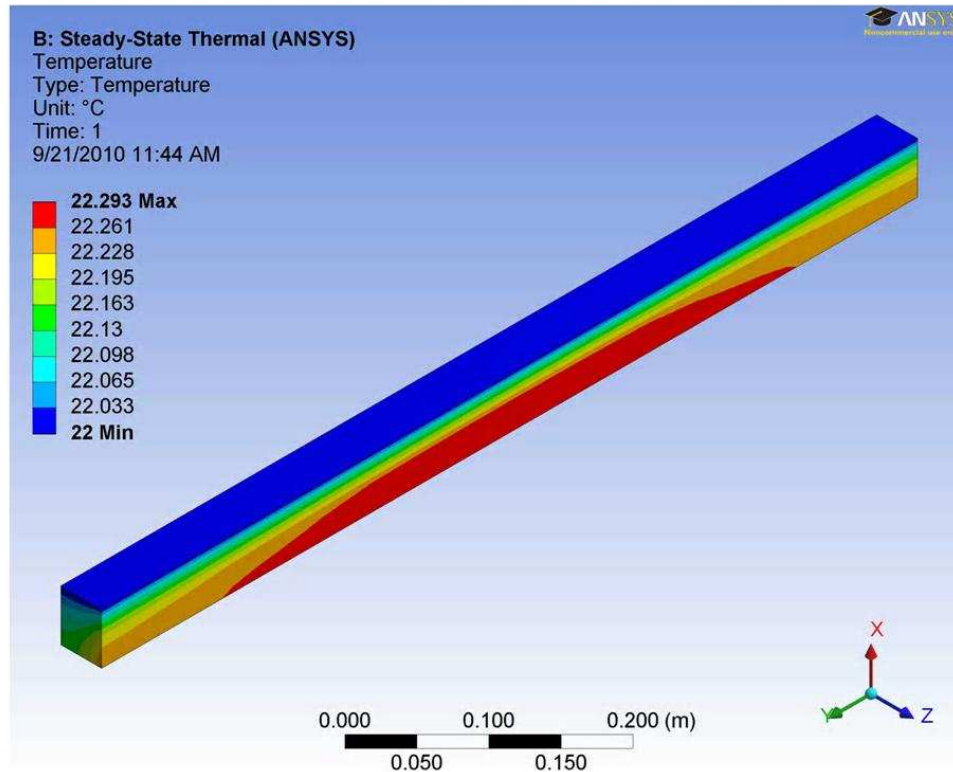


Single cooling surface

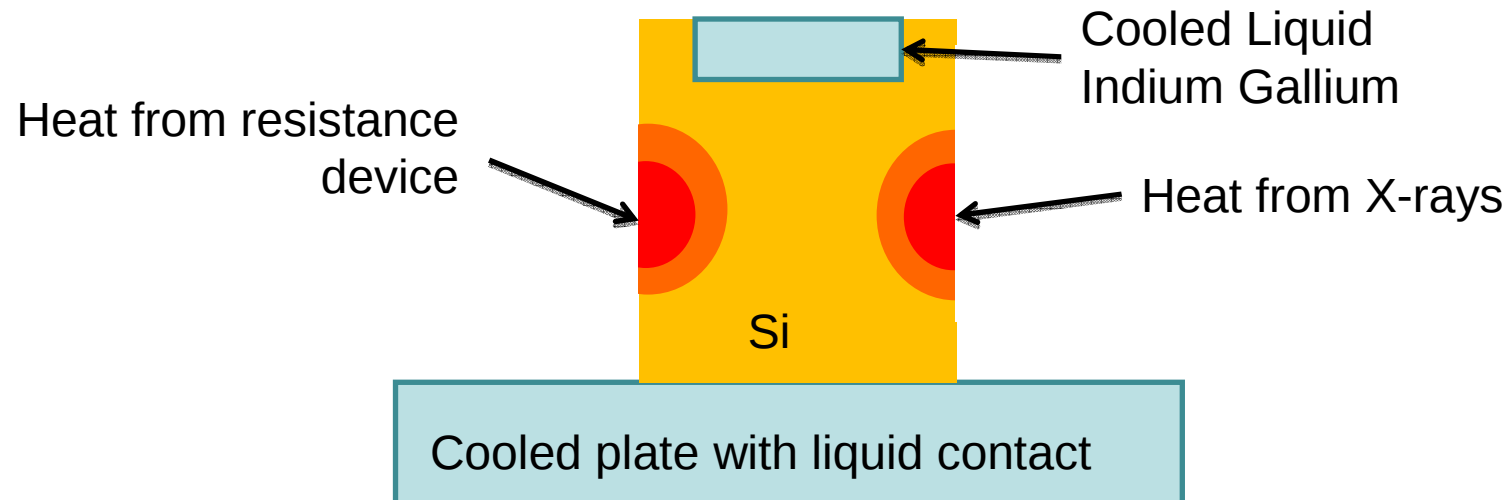


Michael Weinbaum

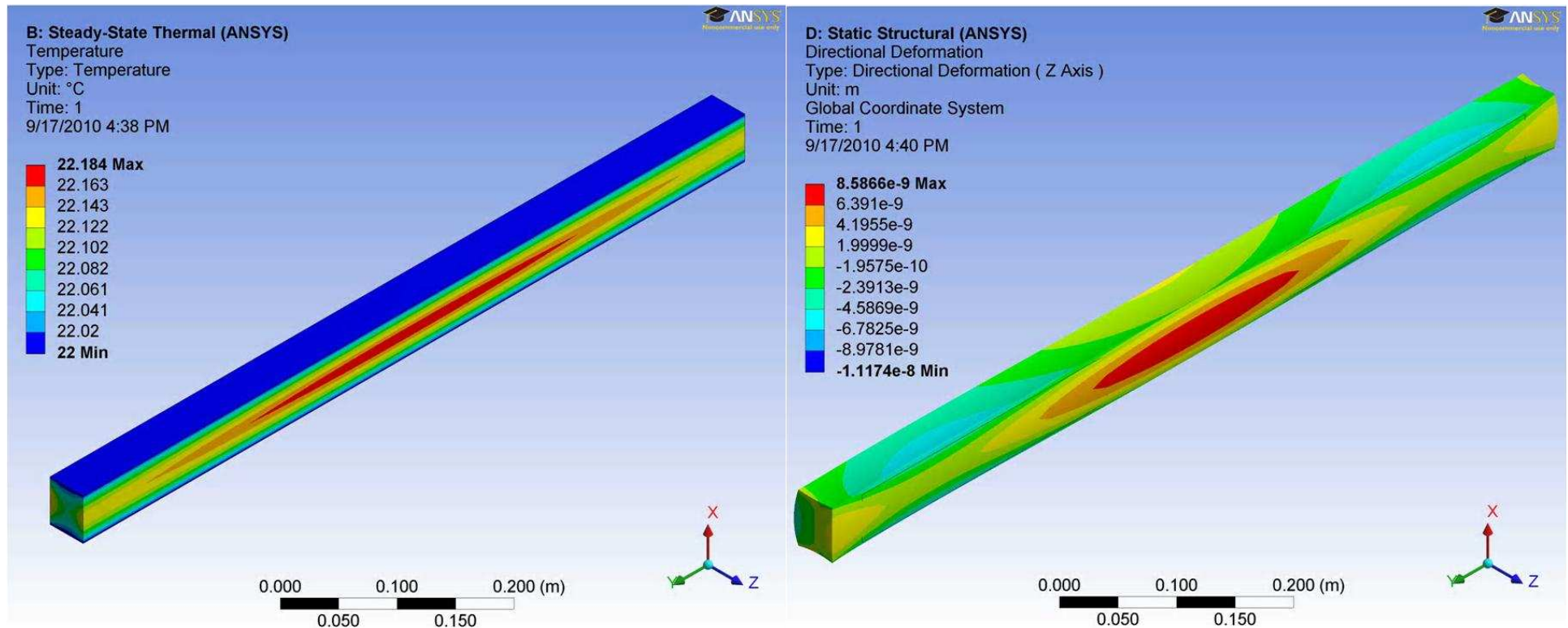
Single cooling surface only



Setup-backlight with two cooling surfaces

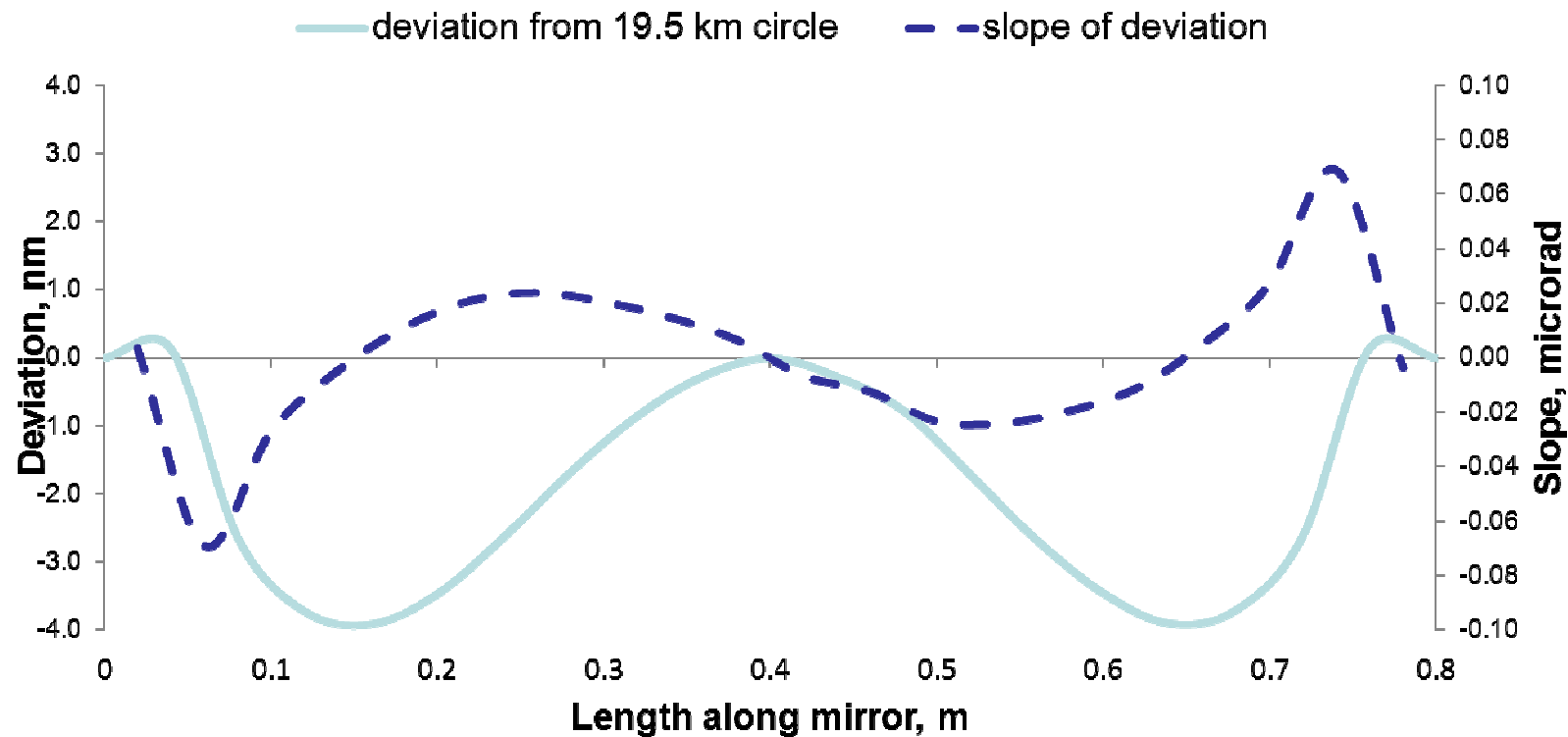


Results- backlighting with two cooling surfaces



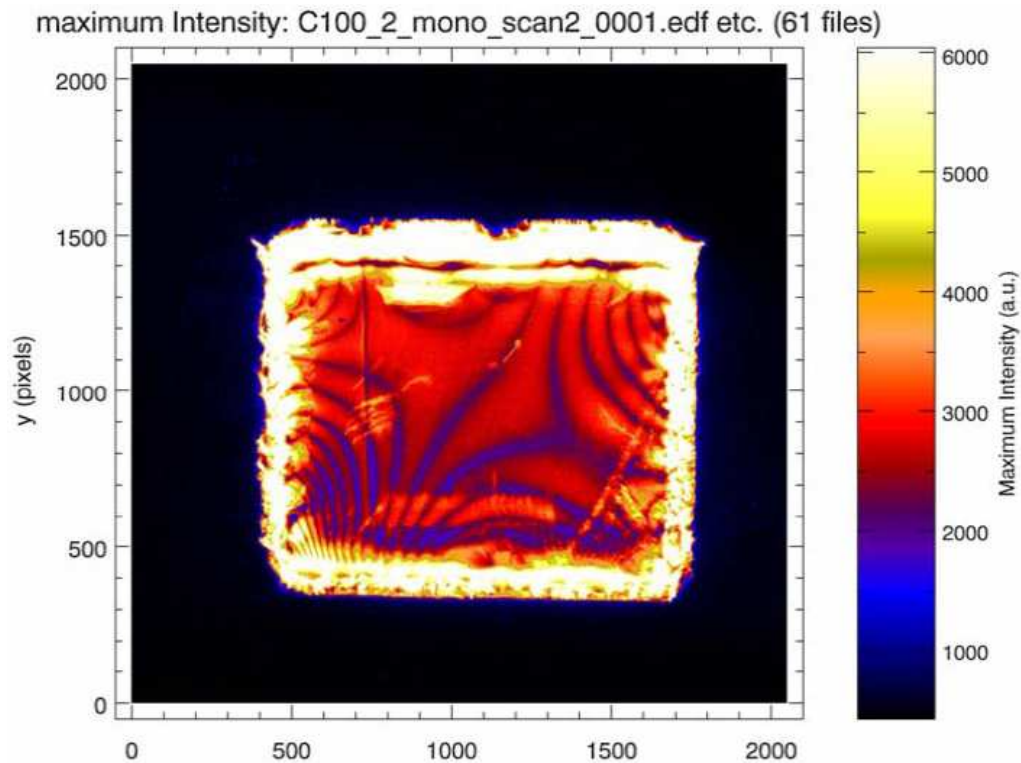
Order of magnitude lower distortion

Results – film and sym. cooling

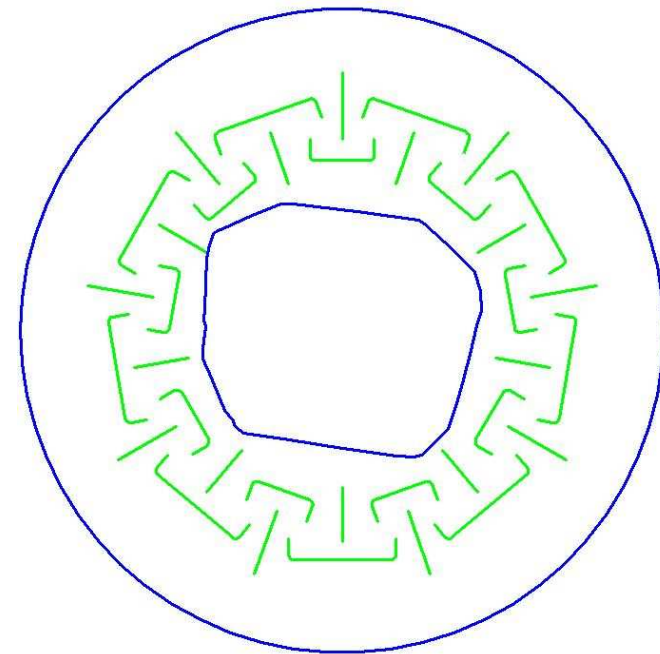


Simulation included 100 micron tungsten film with a 36K temperature change

Stress relief in diamond/CVD ring monochromator



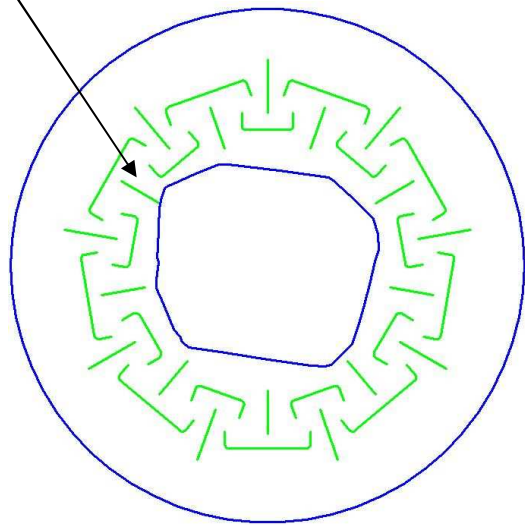
Growers proposed cuts



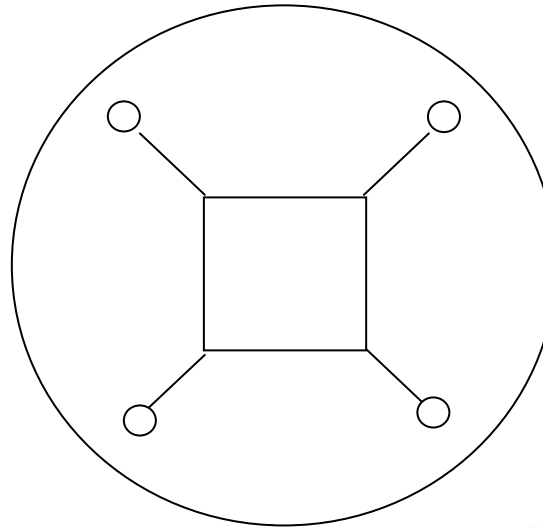
Liubov Samoylova, XFEL

Diamond Monochromator Stress Relief

Useful cut



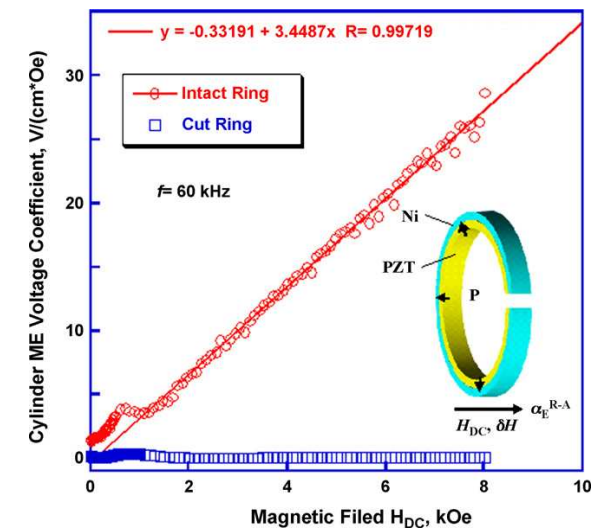
vs.



Fan Yang, XFEL

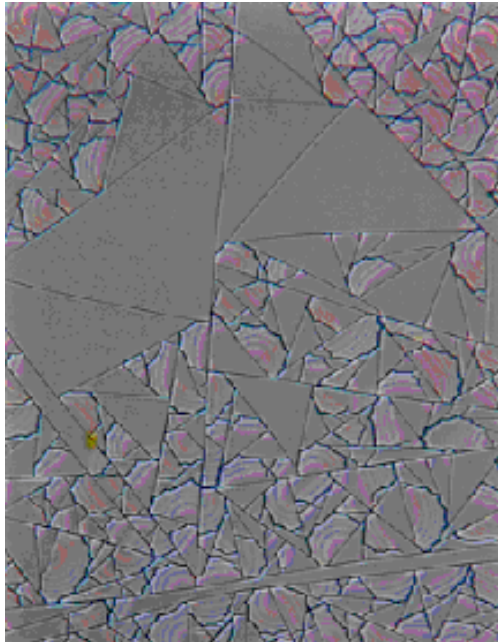
Hoop (circumferential) stress relief σ_θ for a cut ring

Geometry Effects on Magnetoelectric Performance of Layered Ni/PZT Composites,
D.A. Pan, J.J. Tian, S.G. Zhang, J.S. Sun, A.A. Volinsky, L.J. Qiao, Mater. Sci.
Eng. B, Vol. 163(2), pp. 114-119, 2009

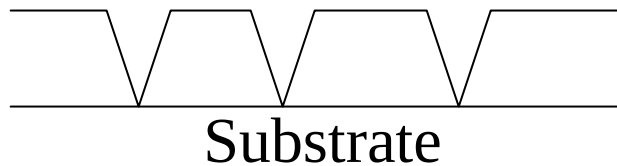


Stress Relief Through Fracture

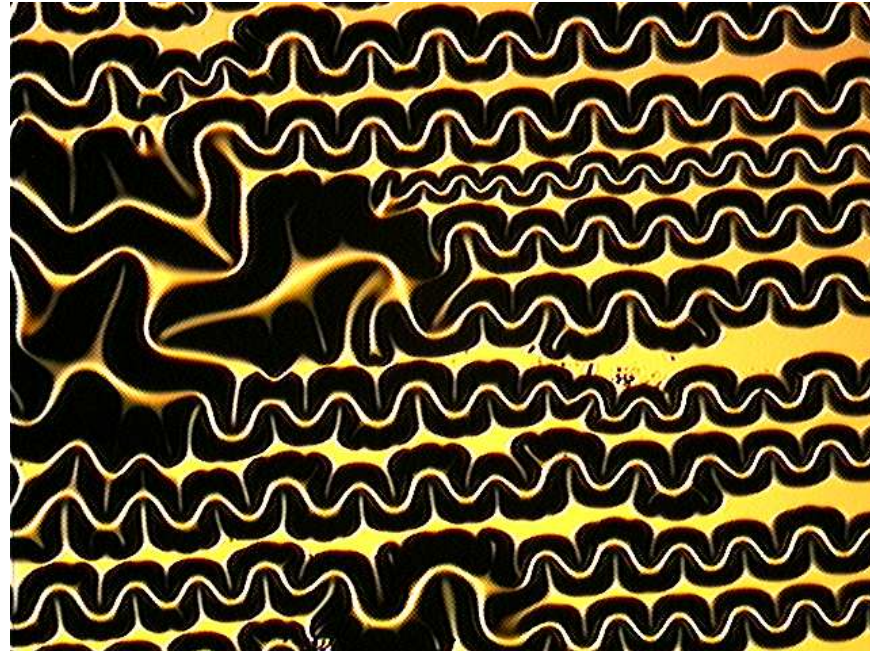
Low-K dielectric film
fracture in tension



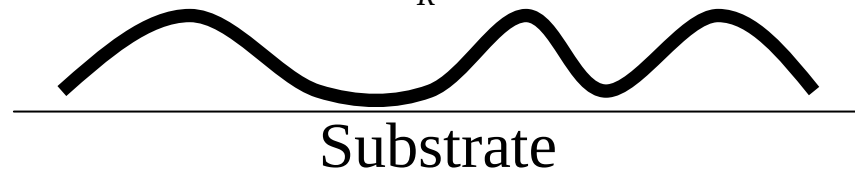
$$h_c = \frac{K^2}{Z\sigma_R^2}$$



TiW film phone cord delamination in
compression



$$h_c = \frac{GE}{Z\sigma_R^2}$$



Mechanics of Coating Fracture

The strain energy release rate of a stressed coating:
(i.e. amount of energy stored in a stressed coating per unit area, J/m², *stressed coating is comparable to a loaded spring*)

$$G = Z \frac{(1 - \nu_c^2) \sigma^2 t}{E_c}$$

Coating will delaminate when the strain energy release rate equals the interfacial toughness, $\Gamma_i(\Psi)$, or its adhesion:

$$G = \Gamma_i(\Psi)$$



The coating will crack when the strain energy release rate equals the coating toughness, $\Gamma_{coating}$:

$$G = \Gamma_{coating}$$



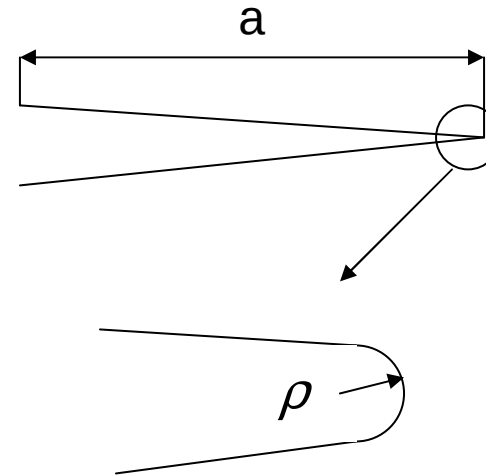
Stress Concentration

Stress at the crack tip is magnified by a factor:

$$\frac{\sigma_{crack\ tip}}{\sigma_{applied\ thermal}} = C \sqrt{\frac{a}{\rho}}$$

Crack length

Crack tip radius



For a 100 nm crack or defect with 1 nm tip radius, one would find a **10-fold increase** in the stress levels at the crack tip.

Thermal Stress Mechanics

Thermal stress in the coating: $\sigma_{thermal} = \frac{E_c}{1 - \nu_c} (\alpha_c - \alpha_s) \cdot \Delta T$

$$G = Z \frac{(1 + \nu_c) E_c (\alpha_c - \alpha_s)^2 \Delta T^2 t}{(1 - \nu_c)}$$

Thermal expansion mismatch causes substantial substrate bending!

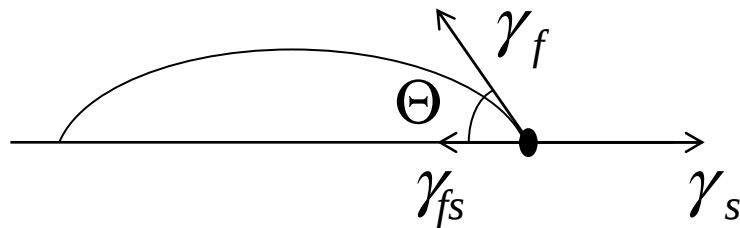


Work of Adhesion

Total irreversible energy per unit area of delamination extension required to separate the materials at the interface.

Thermodynamic work of adhesion

$$W_A = \gamma_f + \gamma_s - \gamma_{fs} = \gamma_f(1 + \cos \Theta)$$

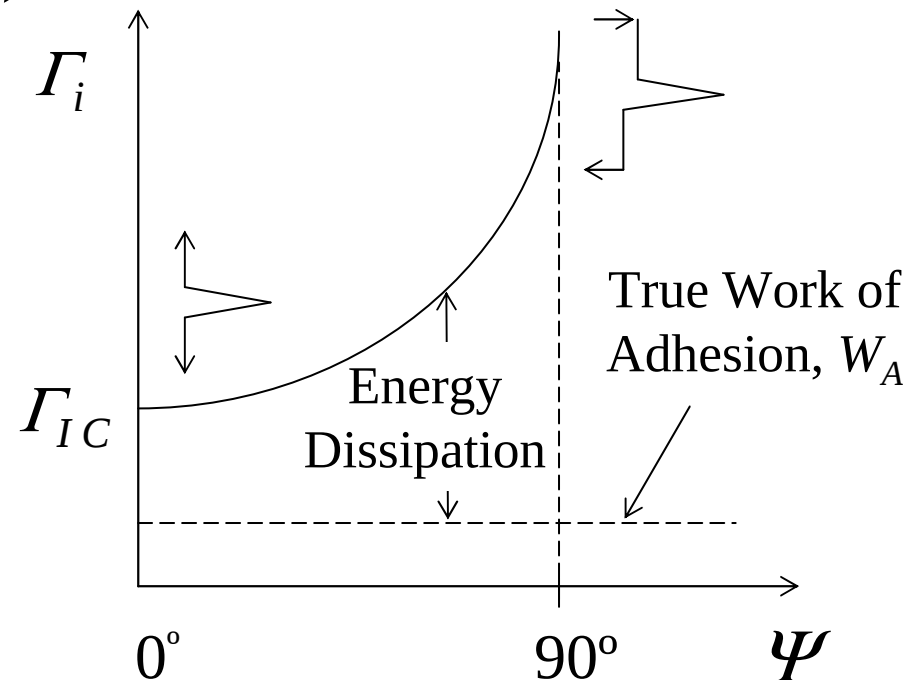


$$G = -\frac{dU_M}{dA} \quad G \geq \Gamma_i(\Psi)$$

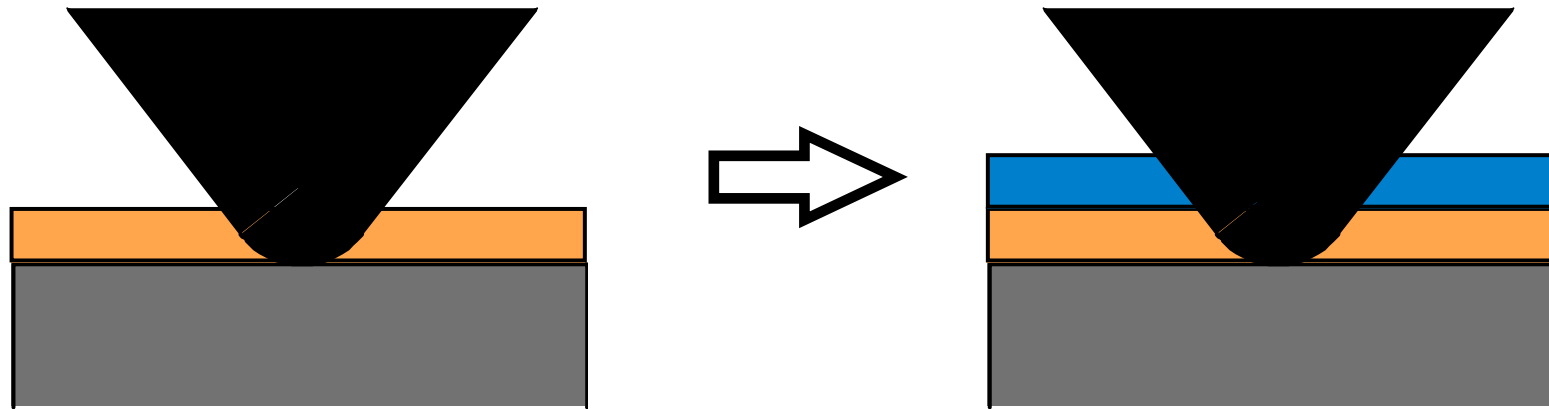
$$\Psi = \tan^{-1}(\tau / \sigma)$$

Practical work of adhesion

$$W_{A,P}(W_A) = W_A + U_f + U_s$$



Single Layer vs. Superlayer Indentation



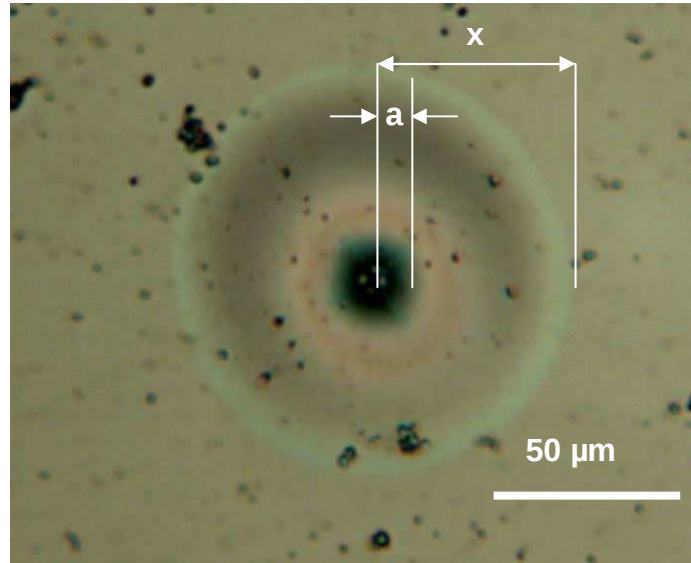
$$\frac{GE_f}{(1 - \nu_f)} = \frac{1}{2} h \sigma_I^2 (1 + \nu_f) + (1 - \alpha)(h \sigma_R^2) - (1 - \alpha)h(\sigma_I - \sigma_B)^2$$

Nonbuckled: $\alpha = 1$, Buckled (single, double): $0 < \alpha < 1$

Biaxial Film Stress Relation: $\sigma = \epsilon E/(1-\nu)$

1. D.B. Marshall and A.G. Evans, Measurement of adherence of residually stressed thin films by indentation. I. Mechanics of interface delamination, J. Appl. Phys., **56** (1984) p. 2632-2638.
2. J.W. Hutchinson and Z. Suo, Mixed mode cracking in layered materials, in Advances in Applied Mechanics, 1992, Academic Press, Inc.: New York, p. 63-169.
3. M.D. Kriesse and W.W. Gerberich, Quantitative adhesion measures of multilayer films. J. Mater. Res. **14** (7), p. 3007, 1999

Experimental Measurements

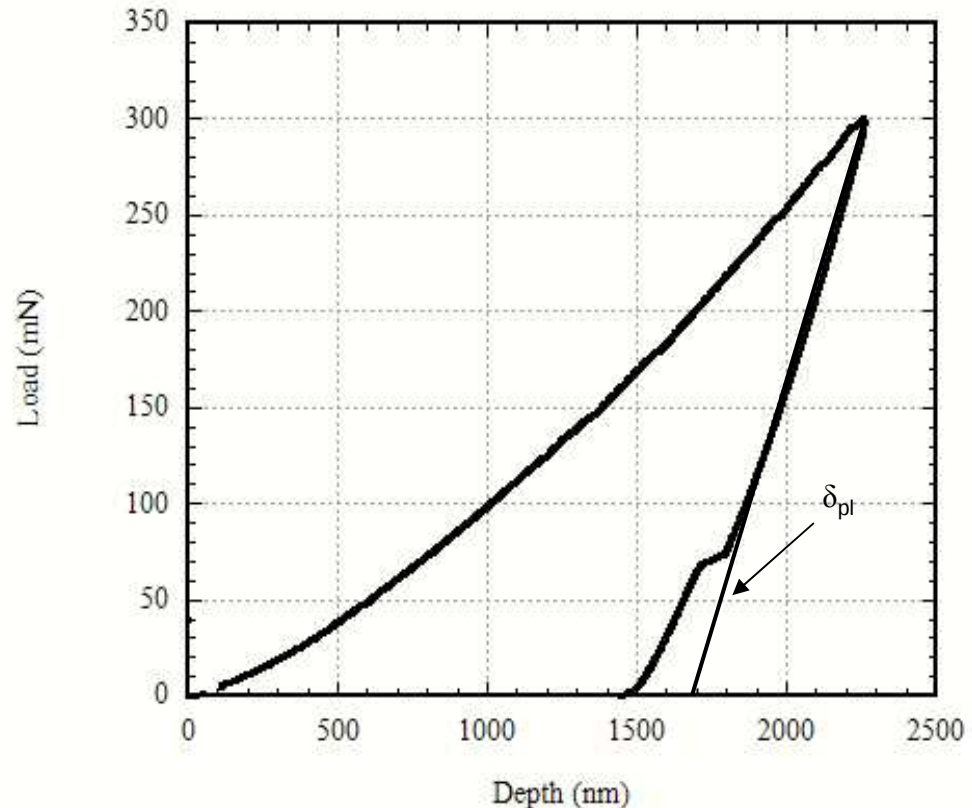


Optical Microscope used for blister measurements

x = blister radius

a = contact radius of indenter tip

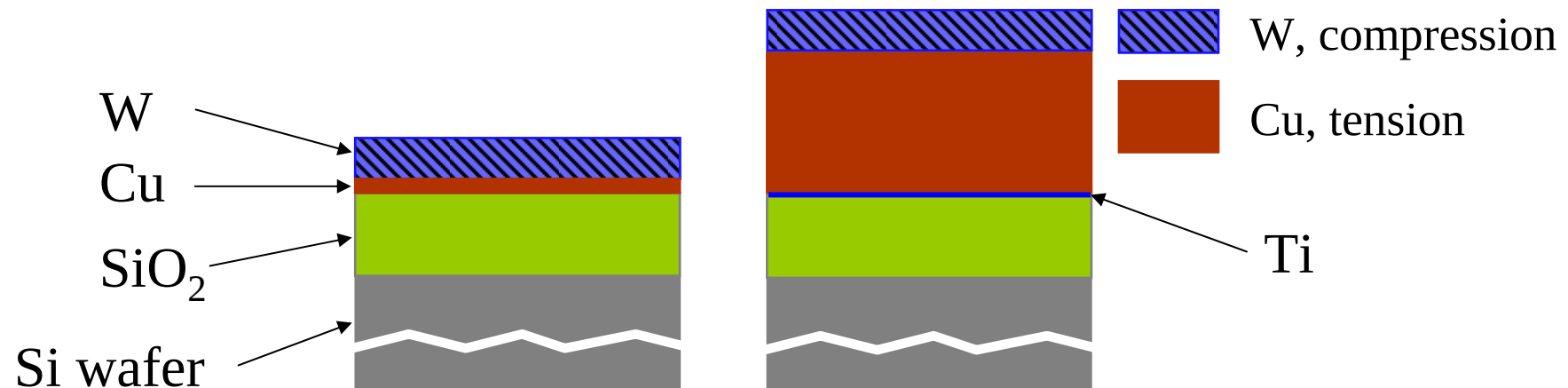
δ_{pl} = plastic indentation depth



Load-Displacement curve from the indenter

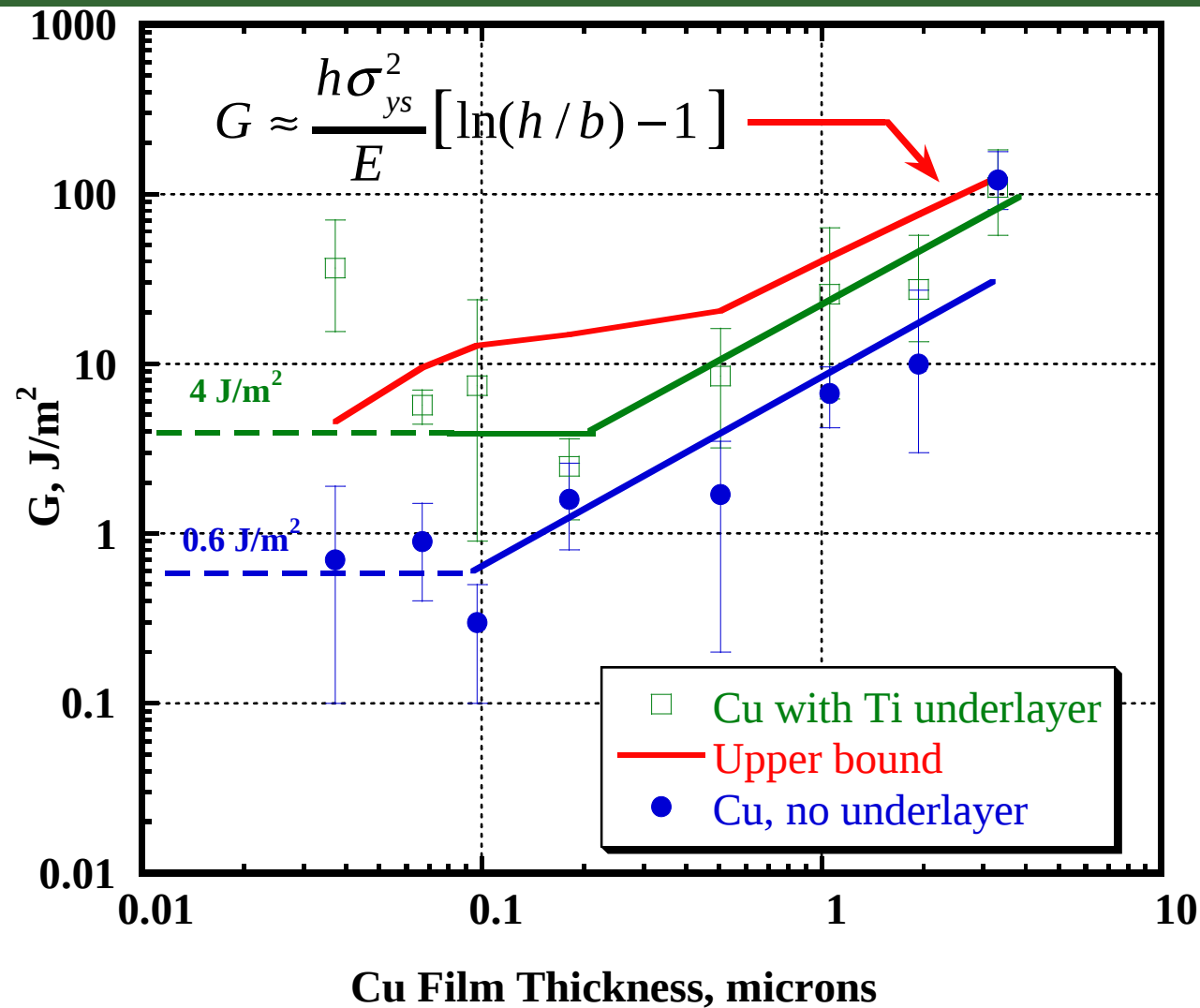
Cu-BASED THIN FILM SYSTEM

Films: 1 μm W overlayer on top of Cu films (40 nm to 3 μm)
with and without a 10 nm Ti underlayer



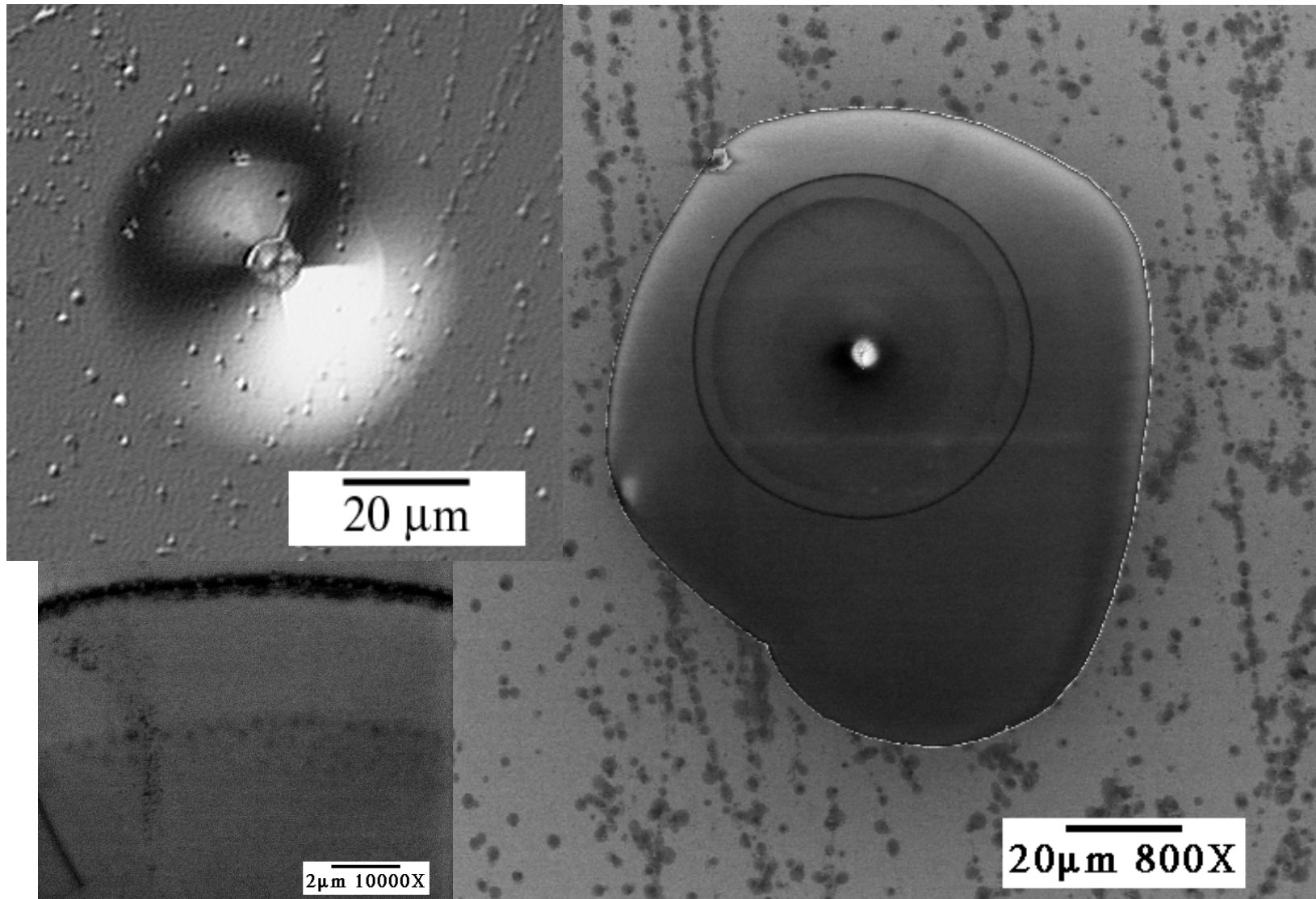
- **Substrates:** Si wafers <100> w/ thermally grown 1.5 μm of SiO₂
- **Processing:** Cleanroom, sputtering in argon (1 μTorr pump down), no etching.

Cu Film Adhesion

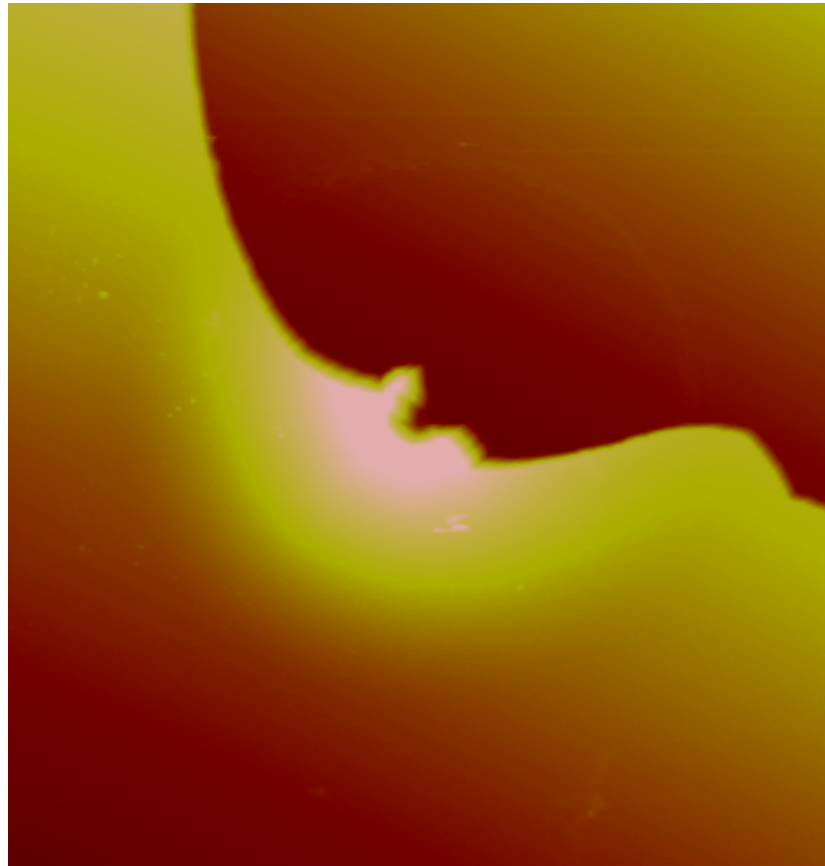


A.A. Volinsky, N.R. Moody, W.W. Gerberich, Acta Mater. Vol. 50/3, pp. 441-466, 2002

FIDUCIAL MARK. SEM

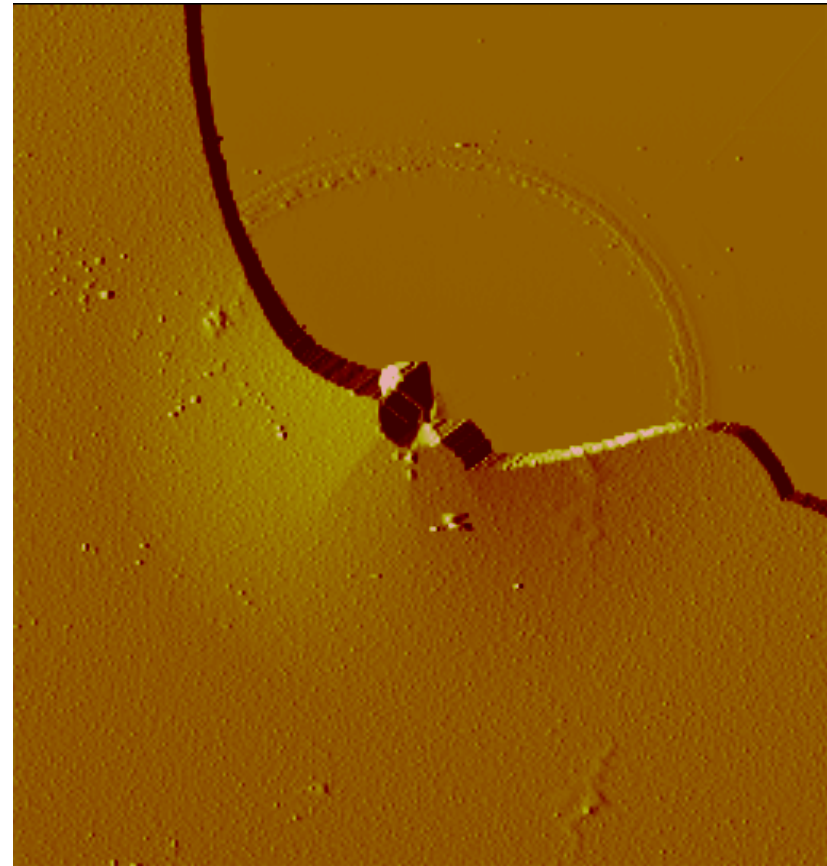


PARTIAL BLISTER REMOVAL



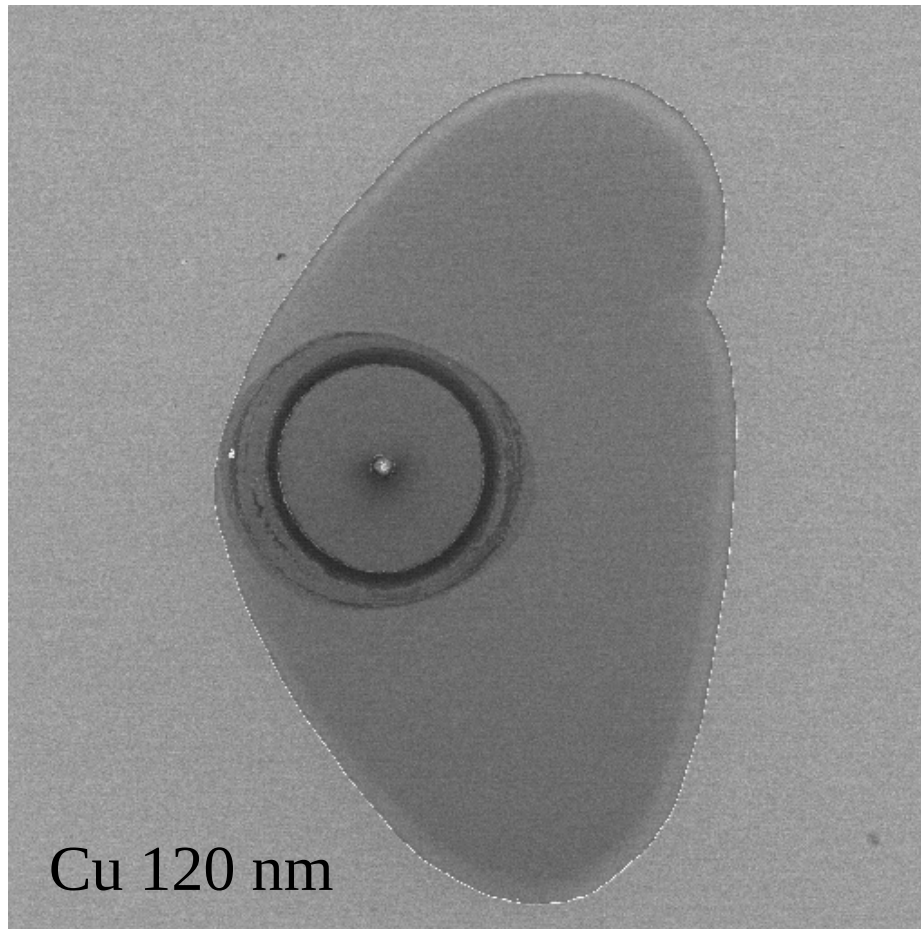
3 microns Z range

25 μm



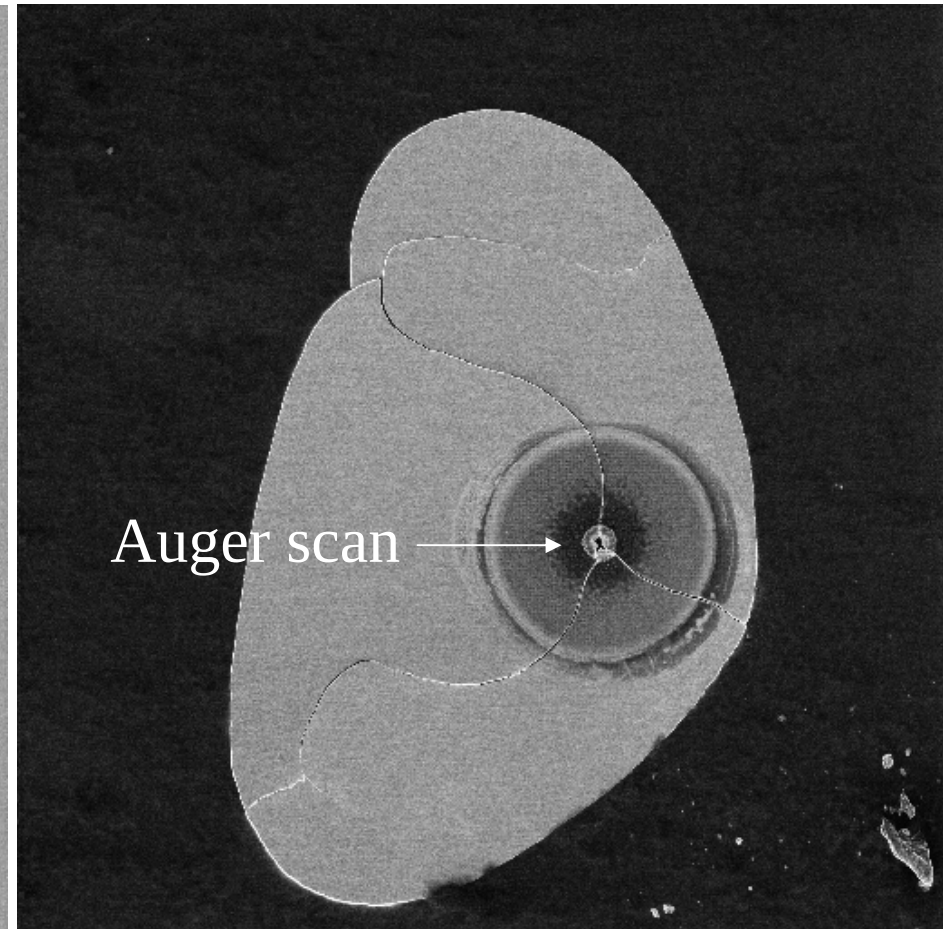
FIDUCIAL MARKS - SEM

Substrate (SiO_2) side



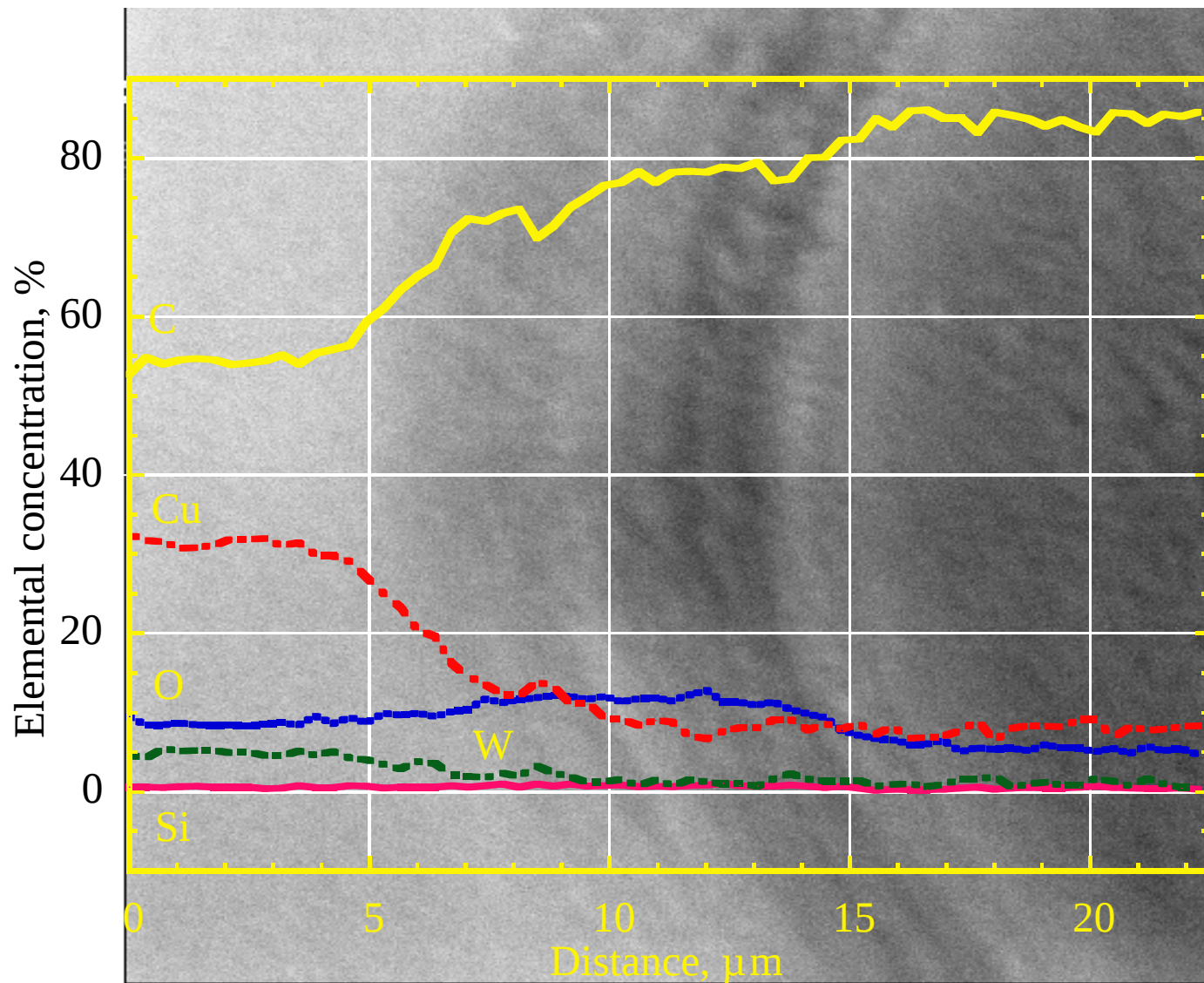
50 μm 500X

Sticky tape (Cu) side

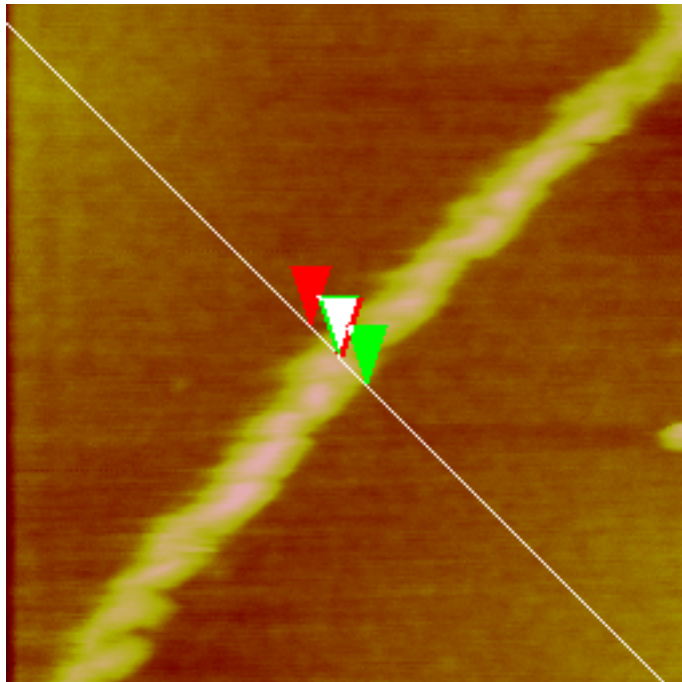


50 μm 500X

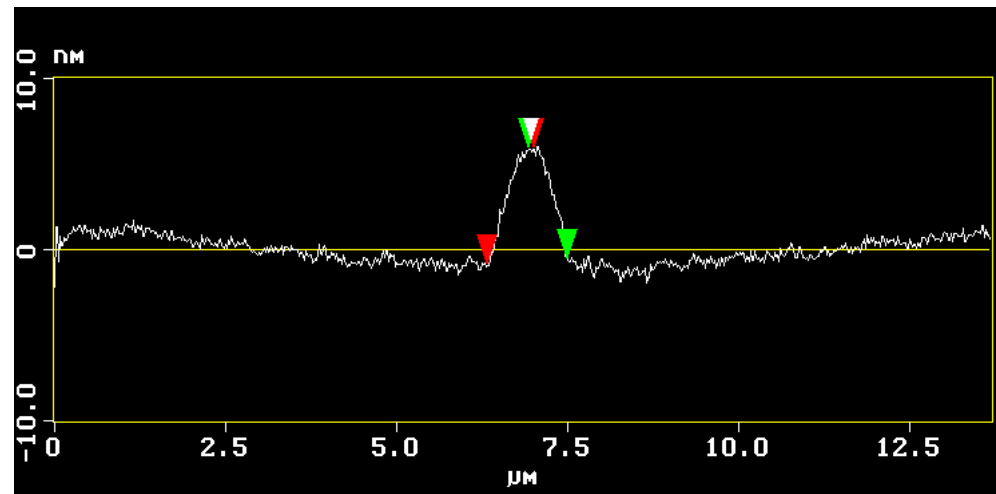
AES SCAN



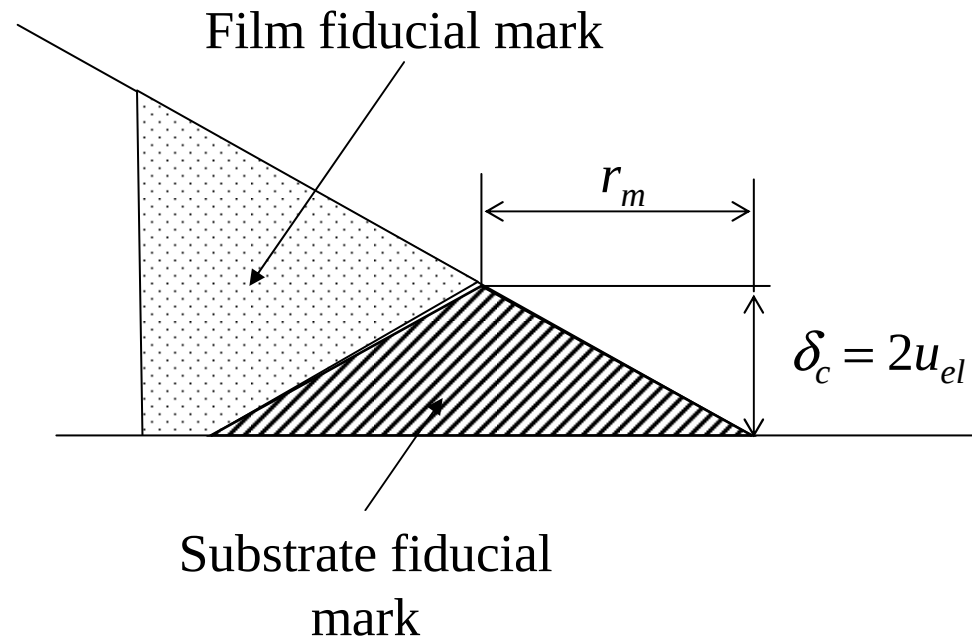
AFM MARK MEASUREMENTS



Surface distance	683.74 nm
Horiz distance(L)	683.59 nm
Vert distance	6.808 nm
Angle	0.571 deg
Surface distance	566.54 nm
Horiz distance	566.41 nm
Vert distance	6.473 nm
Angle	0.655 deg



LINEAR ELASTIC CRACK TIP ANALYSIS



$$u_{el}(r) = \frac{K}{E} \sqrt{\frac{8r}{\pi}}$$

Lawn B., (1993) "Fracture of Brittle Solids", Cambridge University Press, Cambridge

$$K_I = \delta_c E \sqrt{\frac{\pi}{32r_m}}$$

$$K_I = 0.3 \text{ MPa} \cdot \text{m}^{1/2}$$

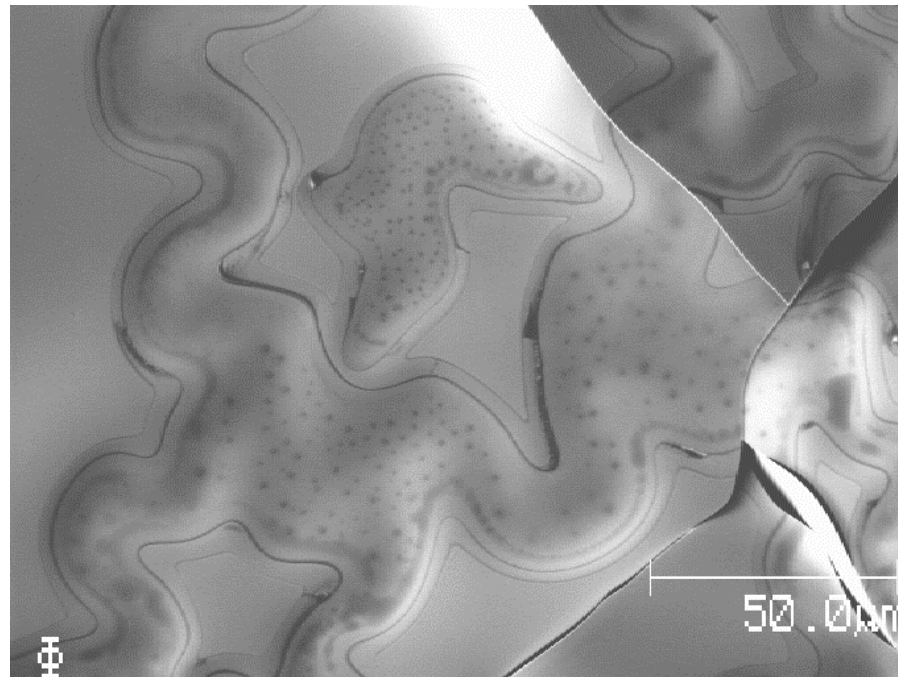
$$K_I = (GE)^{1/2}$$

$$G \approx 0.9 \text{ J/m}^2 \Rightarrow K_I = 0.33 \text{ MPa} \cdot \text{m}^{1/2}$$

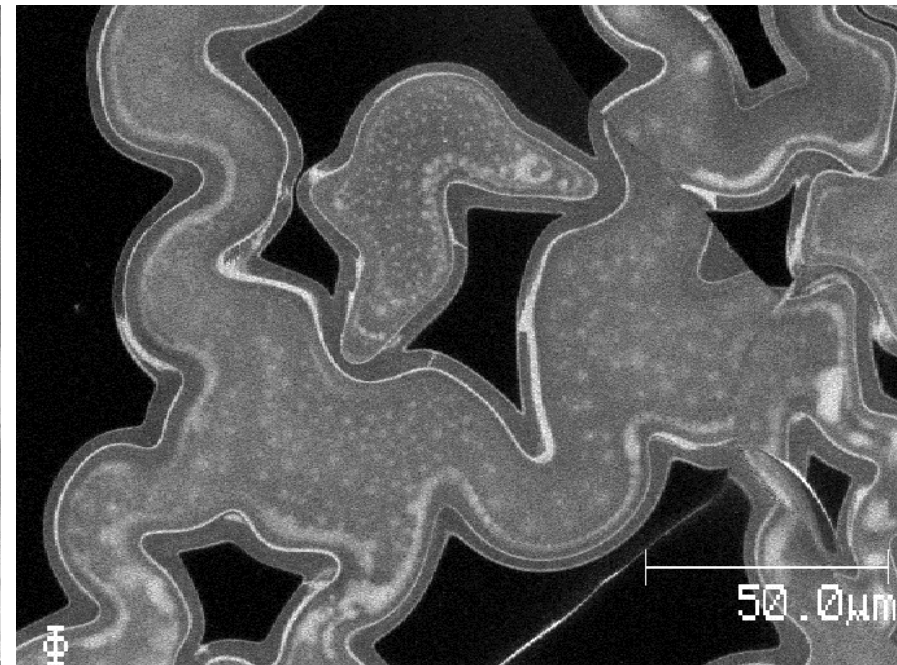
A.A. Volinsky, M.L. Kottke, N.R. Moody, W.W. Gerberich, Engineering Fracture Mechanics 69, pp. 1511-1515, 2002

Auger. Phone Cord Fiducial Marks

SEM



Carbon Map



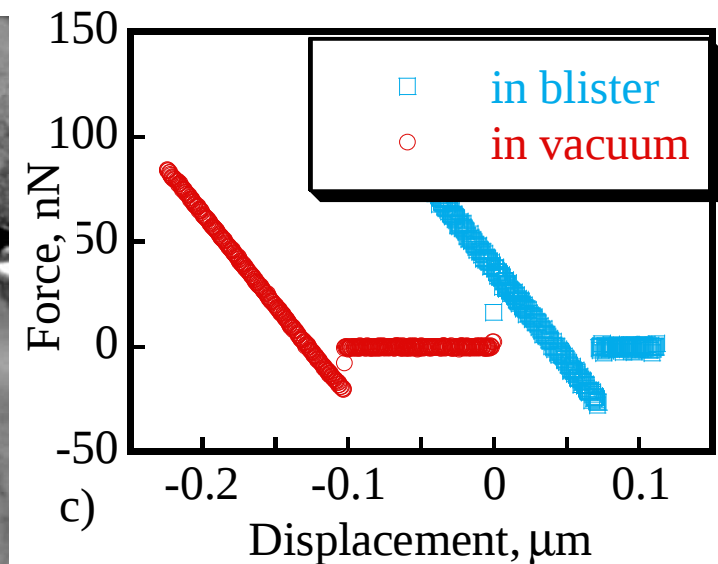
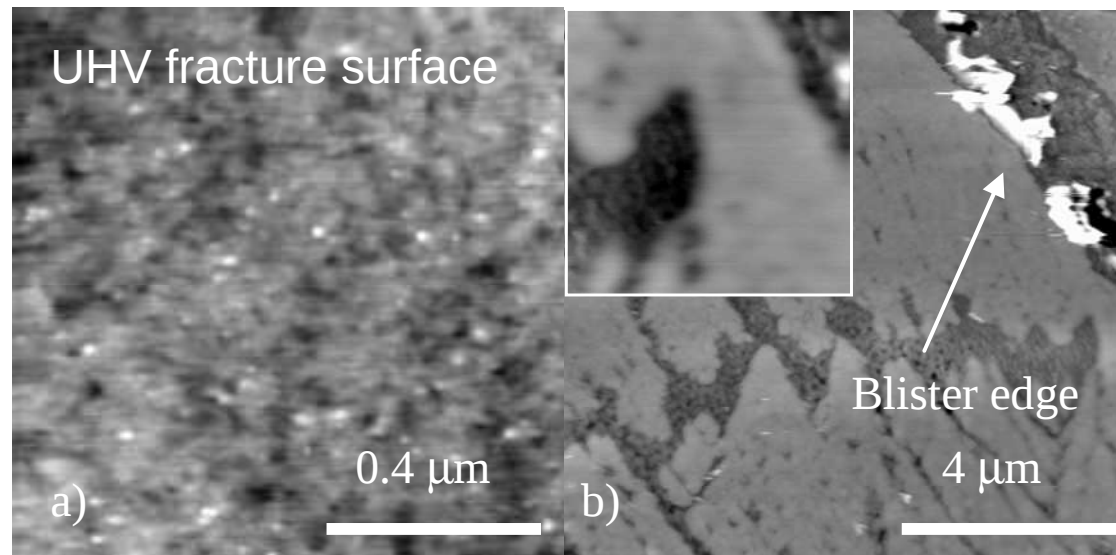
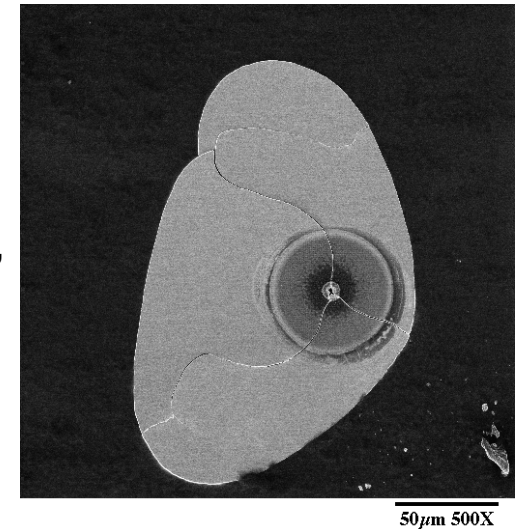
Mike Kottke

Crack Tip Surface Energy

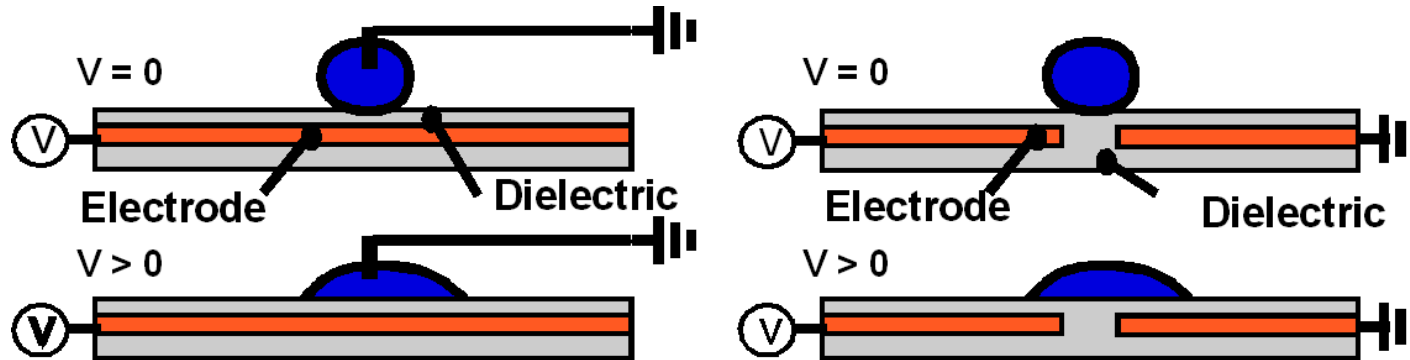
Conventional methods of surface energy measurement (contact angle technique) only work in air. While film is delaminating, its surface energy is reduced.

Fiducial Mark and Nanocrack Zone Formation During Thin Film Delamination,
A.A. Volinsky, N.R. Moody, M.L. Kottke, W.W. Gerberich, Philosophical
Magazine A, Vol. 82, 2002

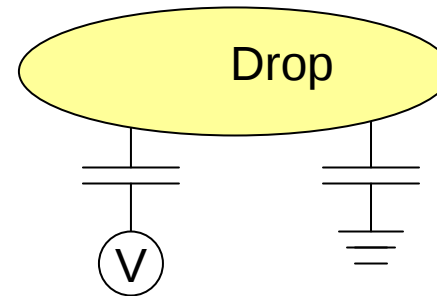
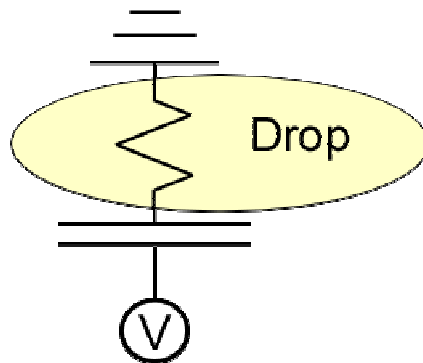
UHV-AFM (Prof. Szymonski's group). Create fracture surface in UHV, then use AFM tip pull-off data to calculate surface energy.



Electrowetting



Equivalent Electrical Circuit



Drops can be moved by varying electrical field around the drop

Electrowetting Measurement

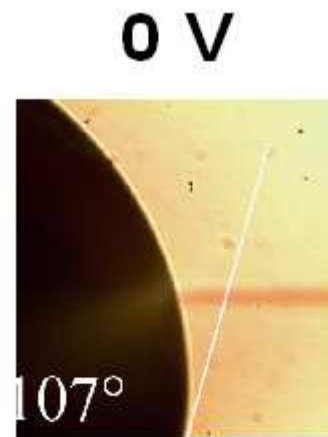
Electrowetting is typically characterized by the wetting angle

Fitted to Young-Lippman equation assuming parallel plate capacitor

Forces are estimated by modeling surface equilibrium

For many applications electrowetting force is of great interest:

Digital microfluidics, Adaptive cooling, focusing optics, flexible electronics, etc.



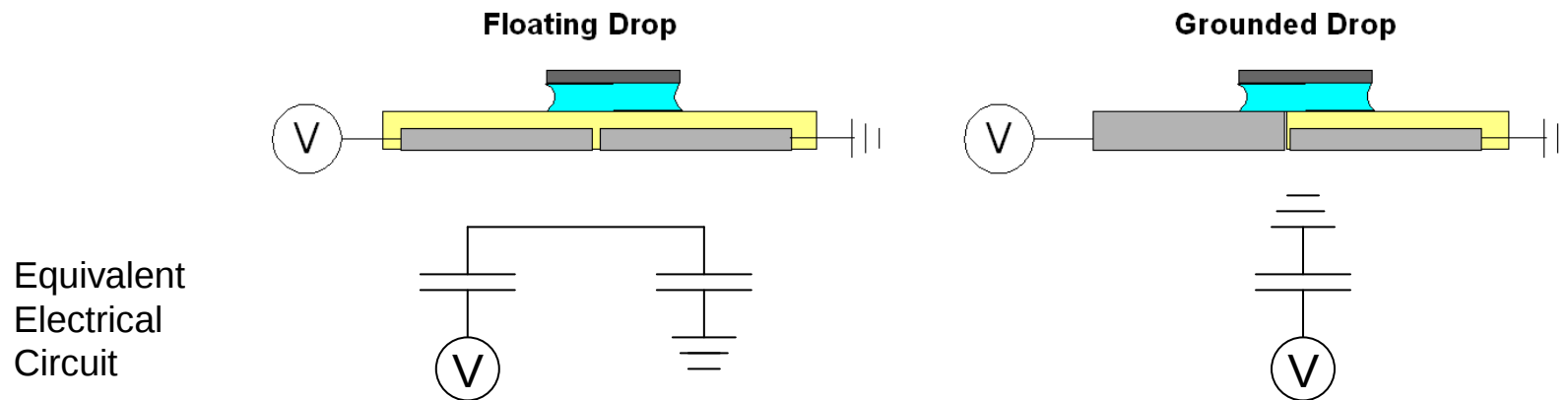
$\theta = 107 \text{ deg}$



$\theta = 68 \text{ deg}$

$$\cos \theta_1 = \cos \theta_o + \frac{\epsilon_o \epsilon_r V^2}{2\gamma_{lv} \delta}$$

Electrowetting Configurations



Force-Position
(Lumped Parameter
Model)

$$E = \frac{V_{tot}^2 \epsilon_0 \epsilon_R}{8\delta} (s^2 - 4x^2)$$

$$F_x = \frac{dE}{dx} = -\frac{\epsilon_0 \epsilon_R}{\delta} V_{tot}^2 x$$

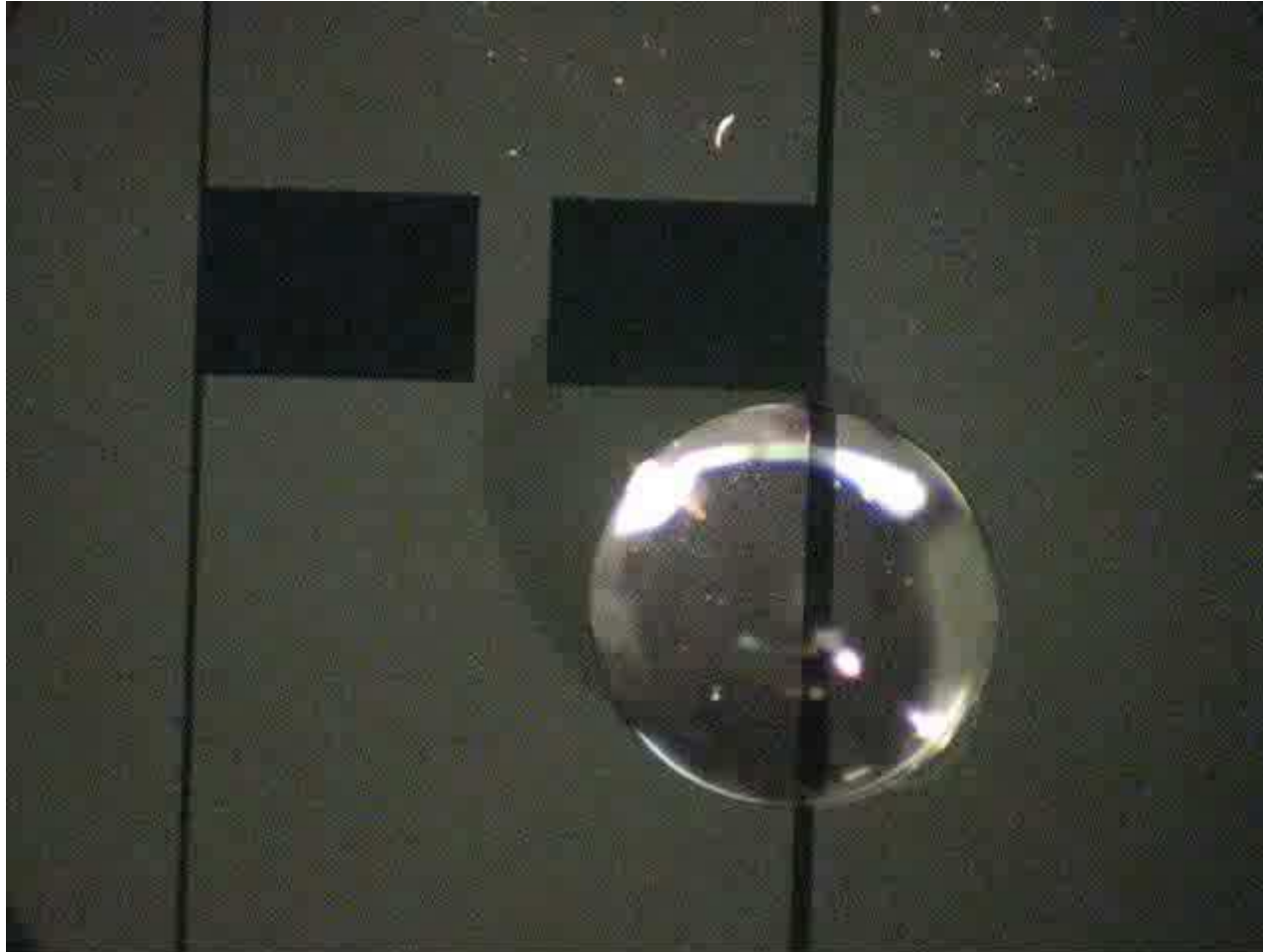
$$F_x = \frac{dE}{dx} = -\frac{\epsilon_0 \epsilon_R}{2\delta} s V_{tot}^2$$

s - edge length

x - plate displacement

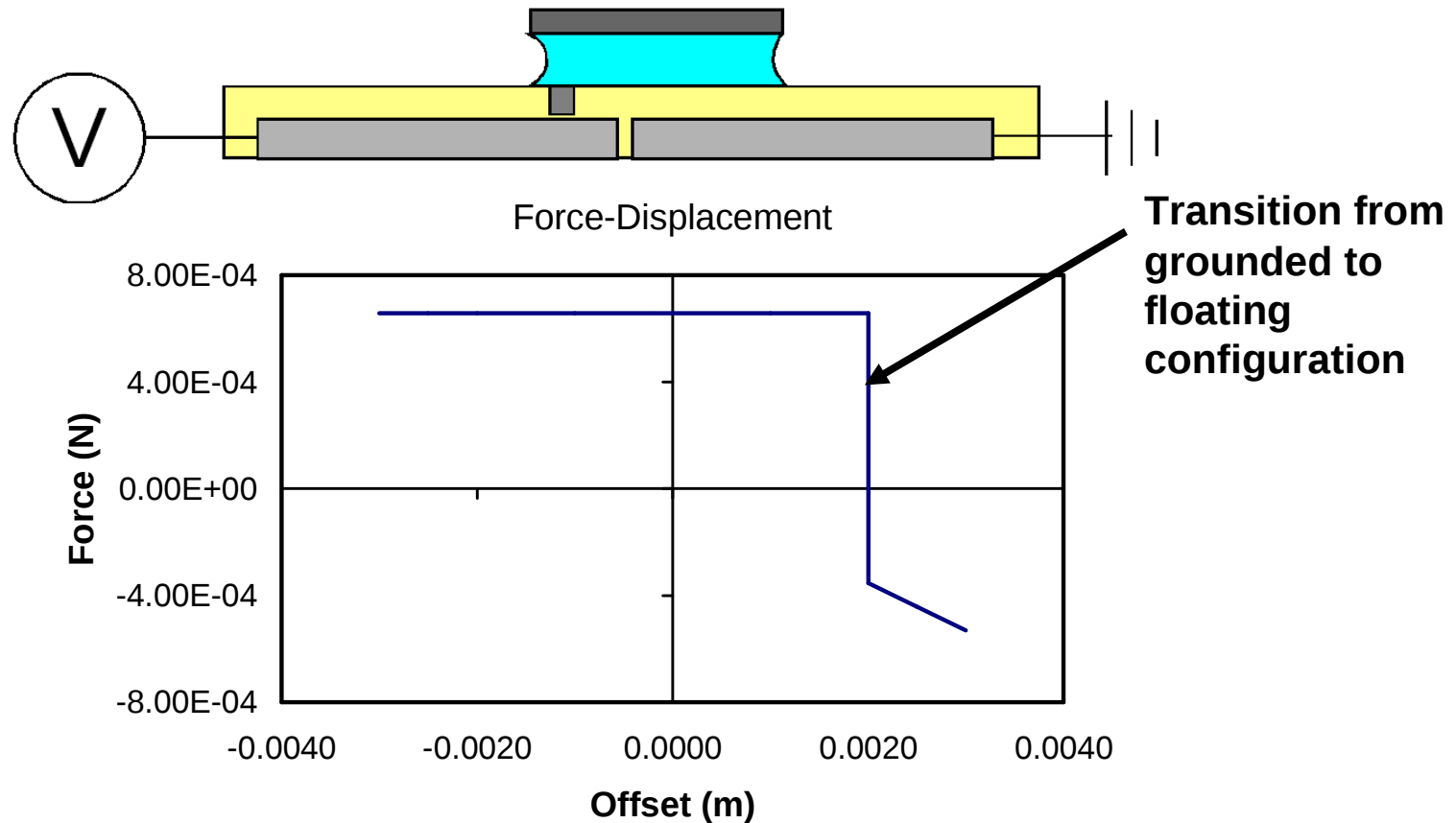
Forces are found by differentiating the system energy with respect to the appropriate displacement variable.

Electrowetting Oscillation. DC Voltage

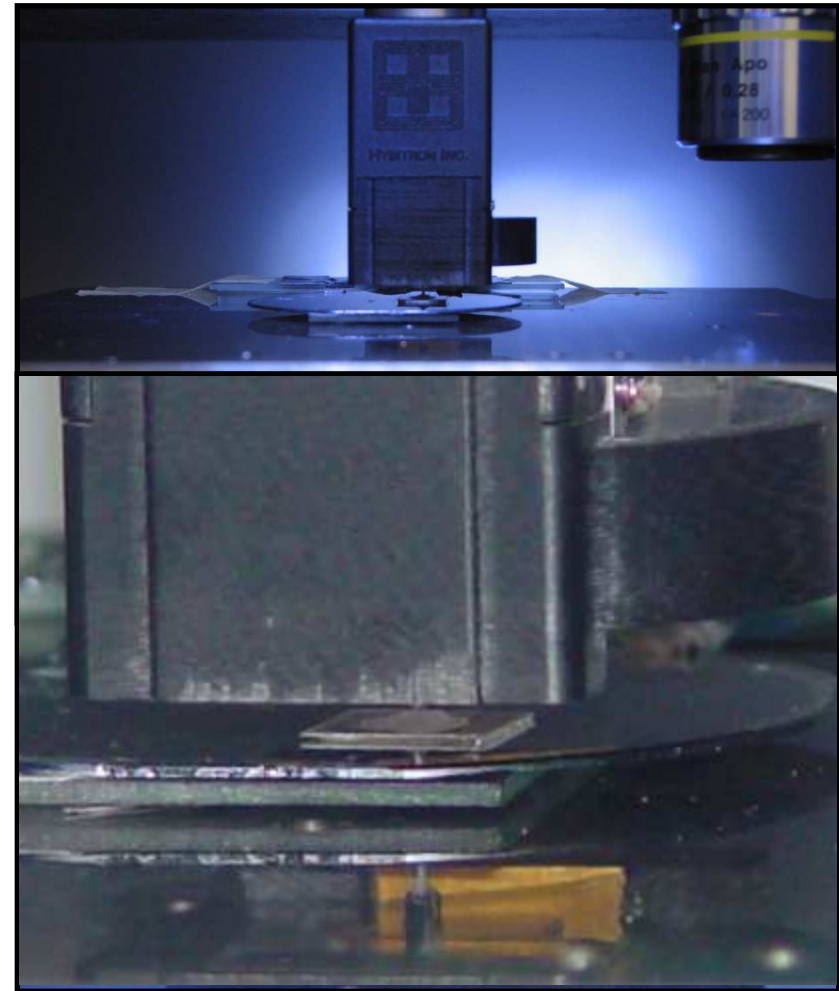
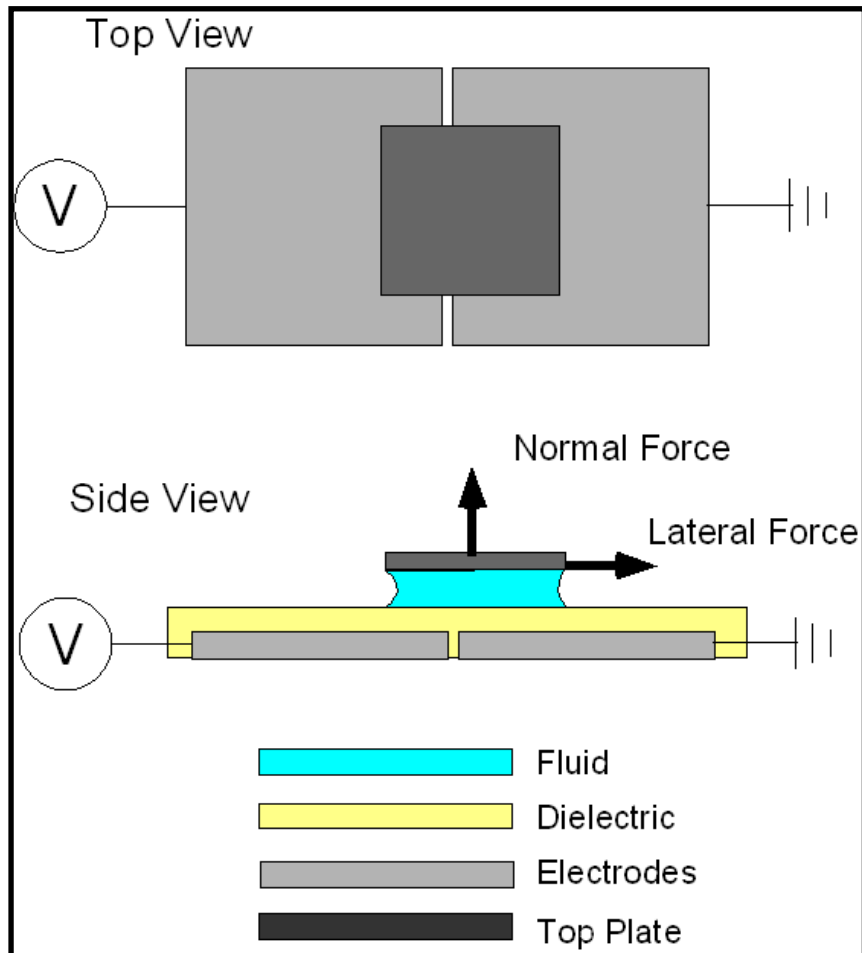


Oscillation Explanation: Local Dielectric Defect

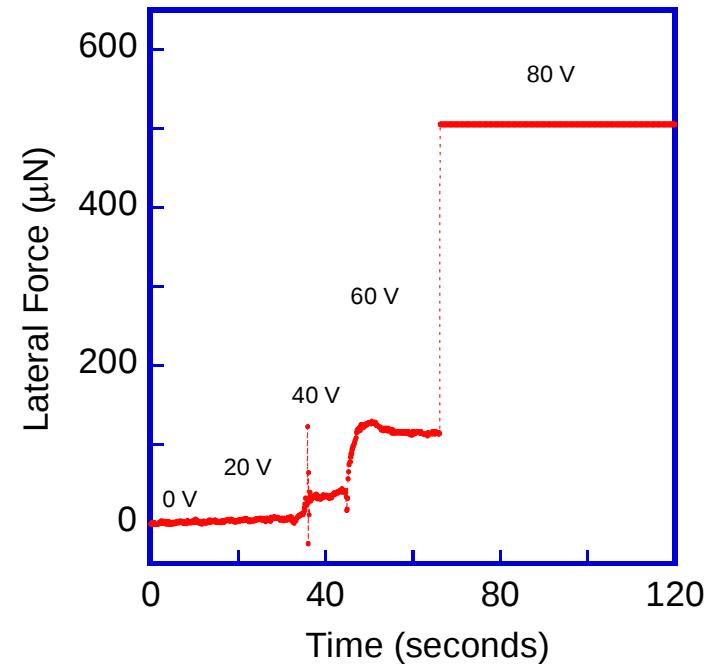
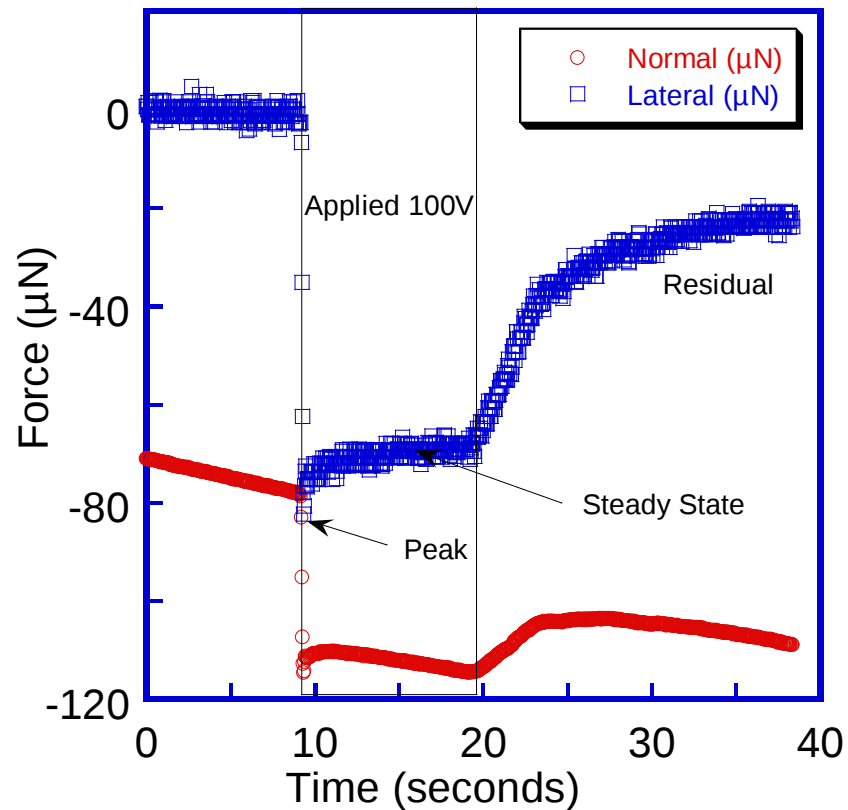
Dielectric Defect Results in Mixed-Mode Behavior



Force Measurement Configuration

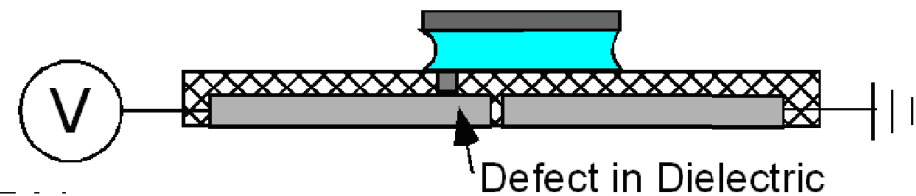
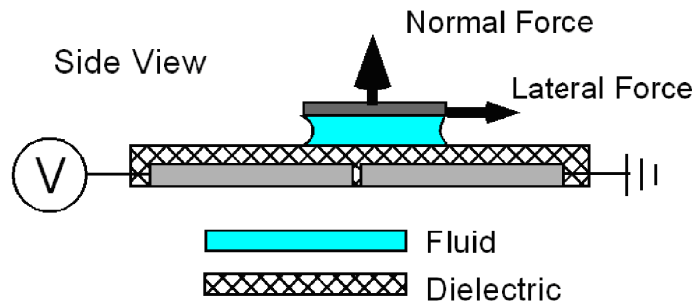


Typical Results



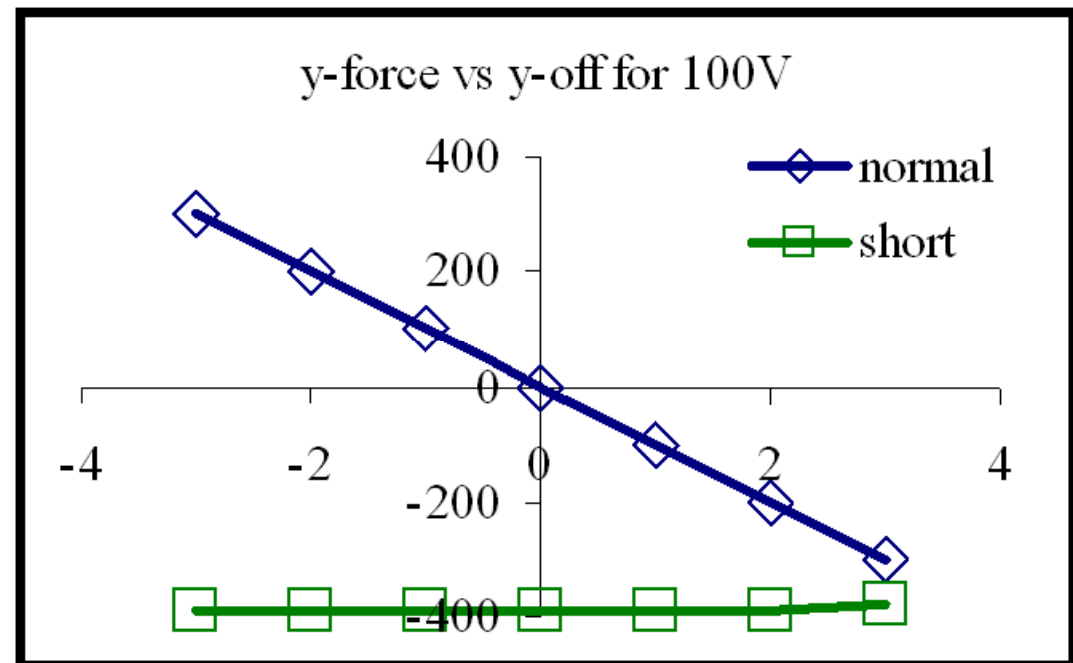
Applied Voltage (V)	Measured Force (μN)	Predicted Force (μN)	Prediction Method
20	6	11	Floating Drop
40	41	44	Floating Drop
60	113	98	Floating Drop
80	505	535	Grounded Drop

Y-force in a normal and defective dielectric layer

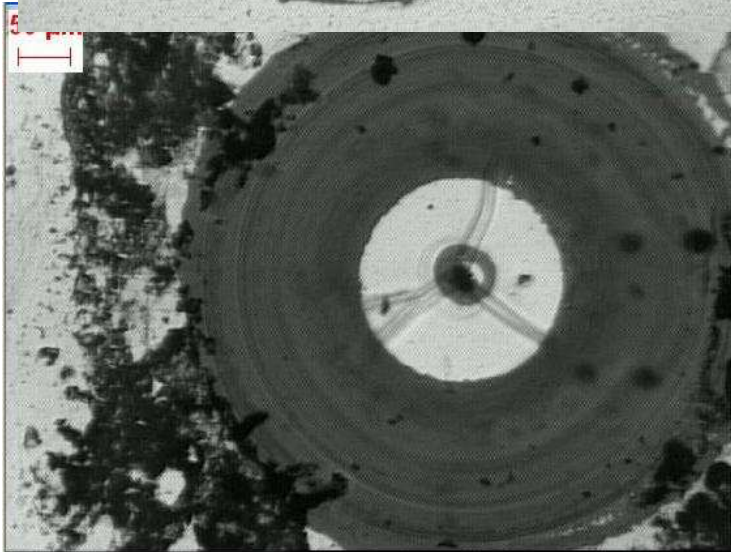
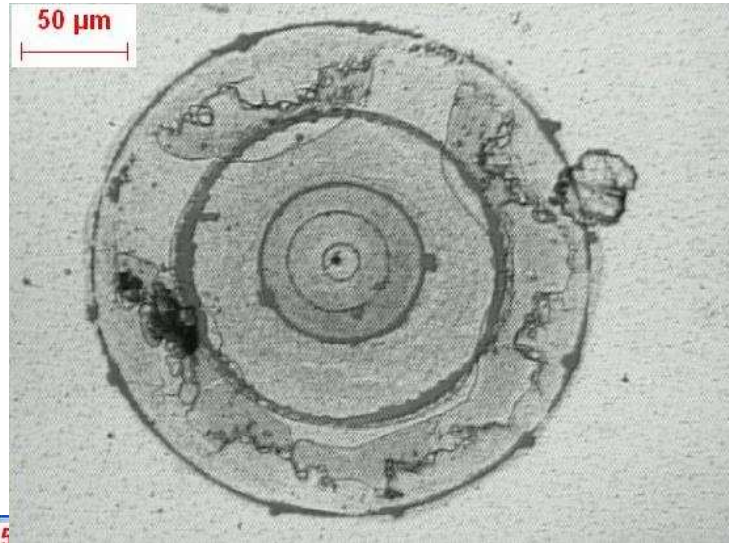


Force measurements can be used to detect defects in the dielectric.

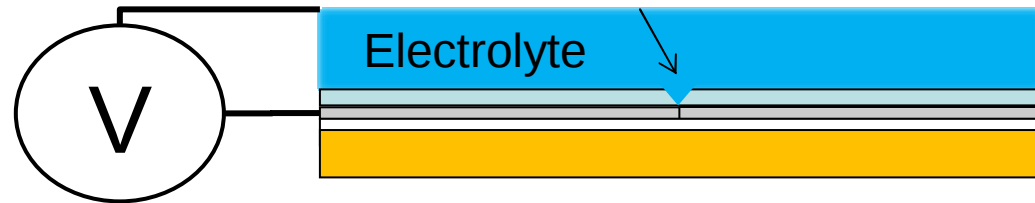
Nathan Crane, Vivek Ramadoss, USF



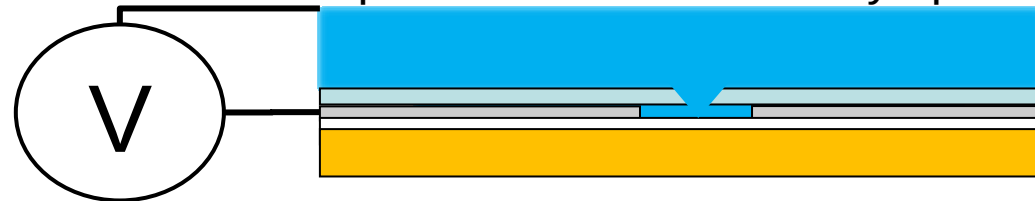
Possible Defect Mechanism



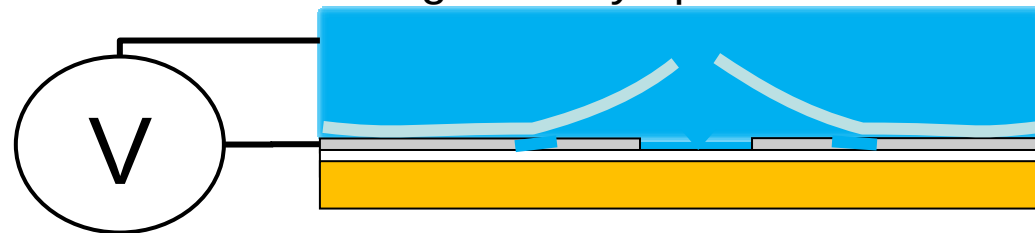
Hole forms in Cytop



Thin aluminum layer corrodes quickly
And pressure builds under Cytop



Cytop delaminates—exposing new Aluminum
Corrosion begins at Cytop/Aluminum Interface



Conclusions for Electrowetting Experiments

- Electrowetting oscillation under a DC voltage input
- Proposed an explanation for this behavior based on local dielectric defects
- Introduced a method for measuring electrowetting forces in 2-axes simultaneously

1. N.B. Crane, A.A. Volinsky, V. Ramadoss, M. Nellis, P. Mishra, X. Pang, MRS. Proc. Vol. 1052, DD8.1, 2008
2. N. Crane, A.A. Volinsky, P. Mishra, A. Rajgadkar, M. Khodayari, Appl. Phys. Lett., Vol. 96, pp. 104103-3, 2010
3. N. Crane, P. Mishra, A.A. Volinsky, Review of Scientific Instruments, Vol. 81, pp. 043902-7, 2010

Previously Funded Projects

NACE: “Adhesion Measurements of Thin Films in Corrosive Environments” \$40K

NSF: “Lab-on-a-chip Microchannels
Novel Manufacturing Method” \$80K

+IREE 2007 \$35K

Krakow, Poland

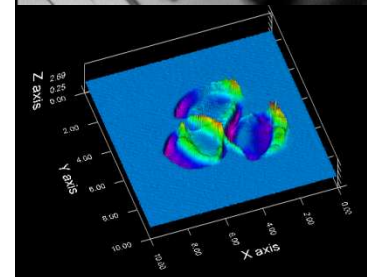
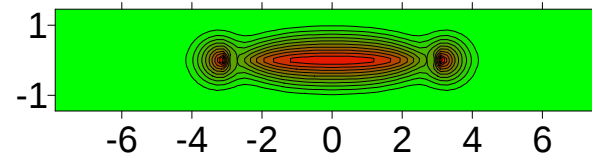
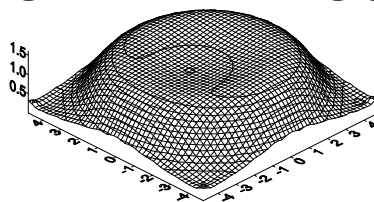
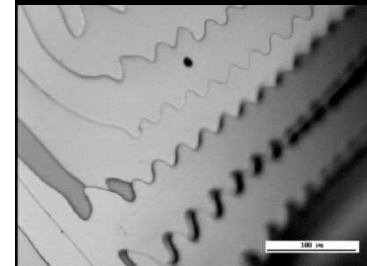
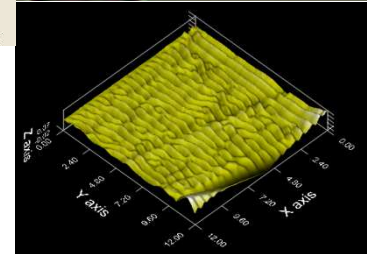
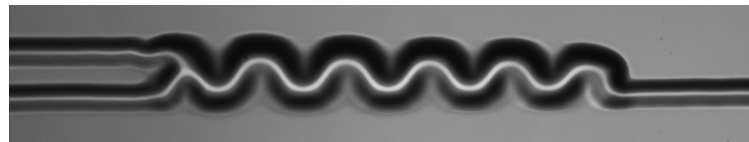
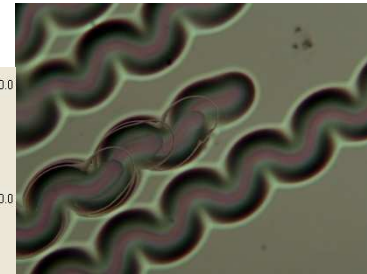
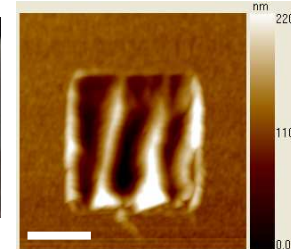
NSF: “Wear-induced Nanoripples in Single Crystals” \$60K

NSF: “Experimental and Computational Investigation of
Fracture Patterns in Thin Films and Multilayers” \$250K

+IREE 2008 \$41K

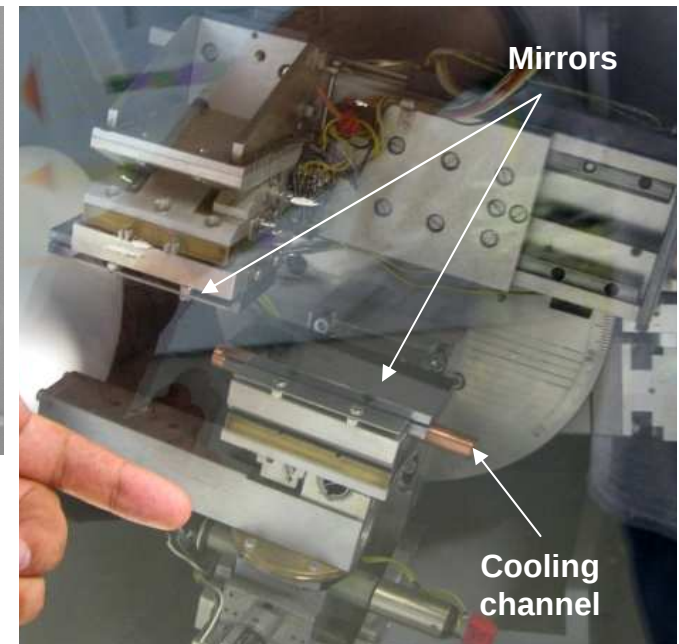
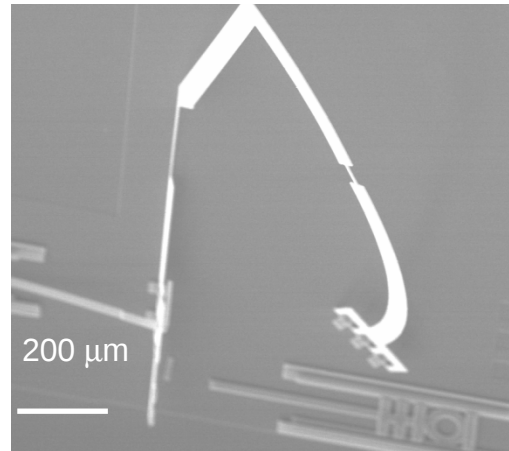
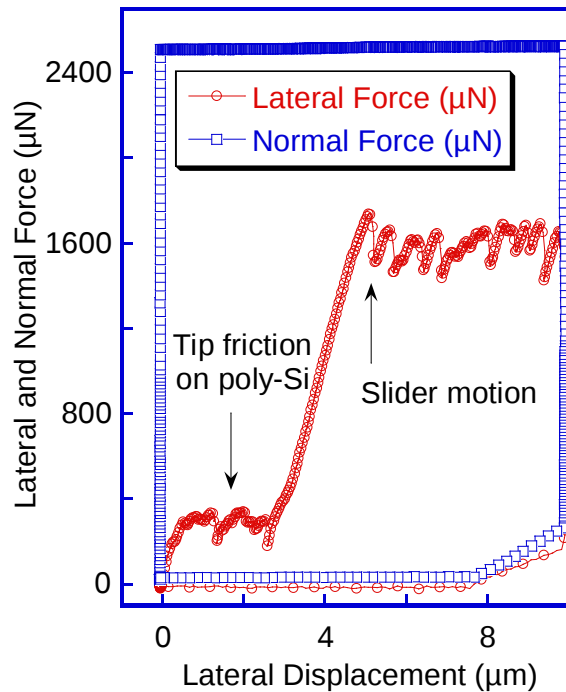
Dresen, Germany

TI: “Nanoindentation and Modeling of Low-K Dielectrics for
the TI Advanced Microelectronic Interconnects, their
Mechanical Characterization and Reliability” \$15K



Currently Funded Projects

NSF: "Uncertainty Quantification for the Kinematic Approach to Compliant Mechanism Design" Co-PI with PI C. Lusk (USF) \$370K



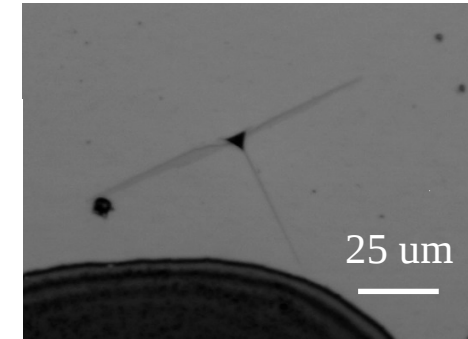
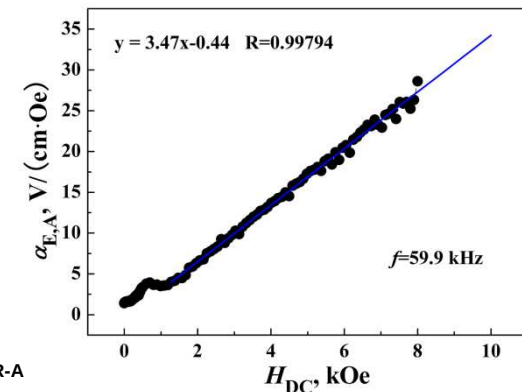
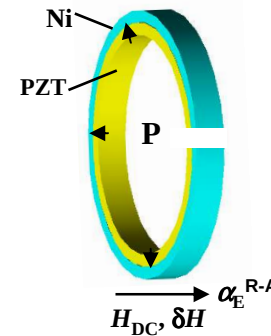
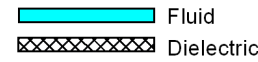
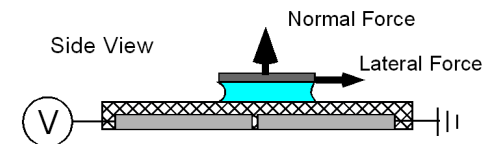
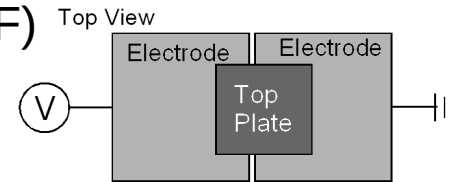
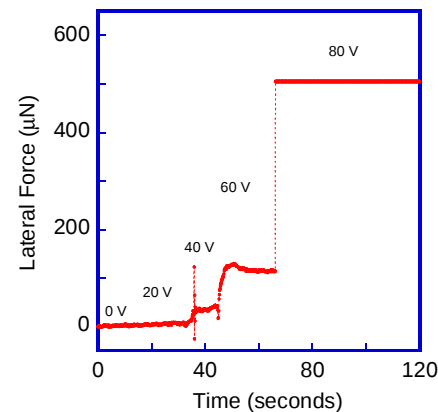
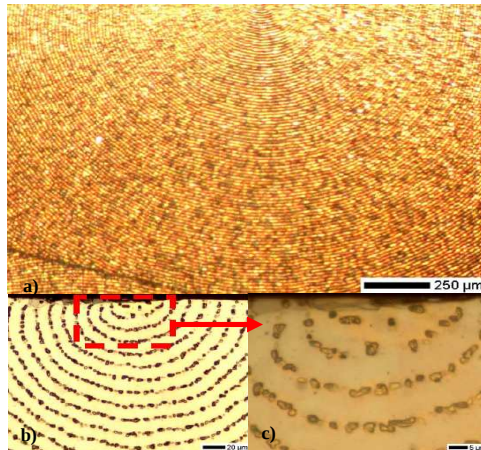
NSF: "IRES: International US-Germany Joint Study of X-Ray Optics Thermomechanical Stability and Control" \$150K.

Unfunded Projects

3C-SiC on Si mechanical properties with S. Sadow (USF)

Electrowetting forces with N. Crane (USF)

Pattern formation in Au/Cr/Si films with D. Gracias (JHU)



Chromium oxide coatings on steel with Qiao, Gao and Pang,

Magnetoelectric layered composites with D.A. Pan (USTB, China)

Summary

Hysitron Triboindenter™ and other equipment available at USF for collaborative research

We provide value added analysis.

