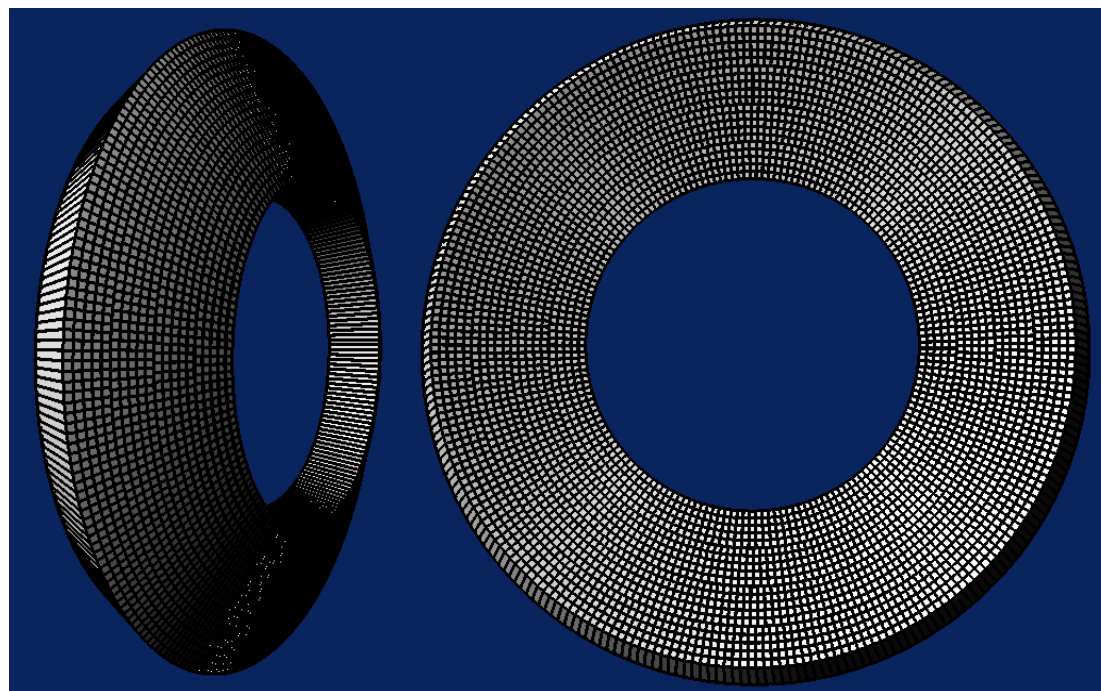


Fwd ECAL Simulation

SuperB Workshop

LAL, Orsay

15-18/02/2009

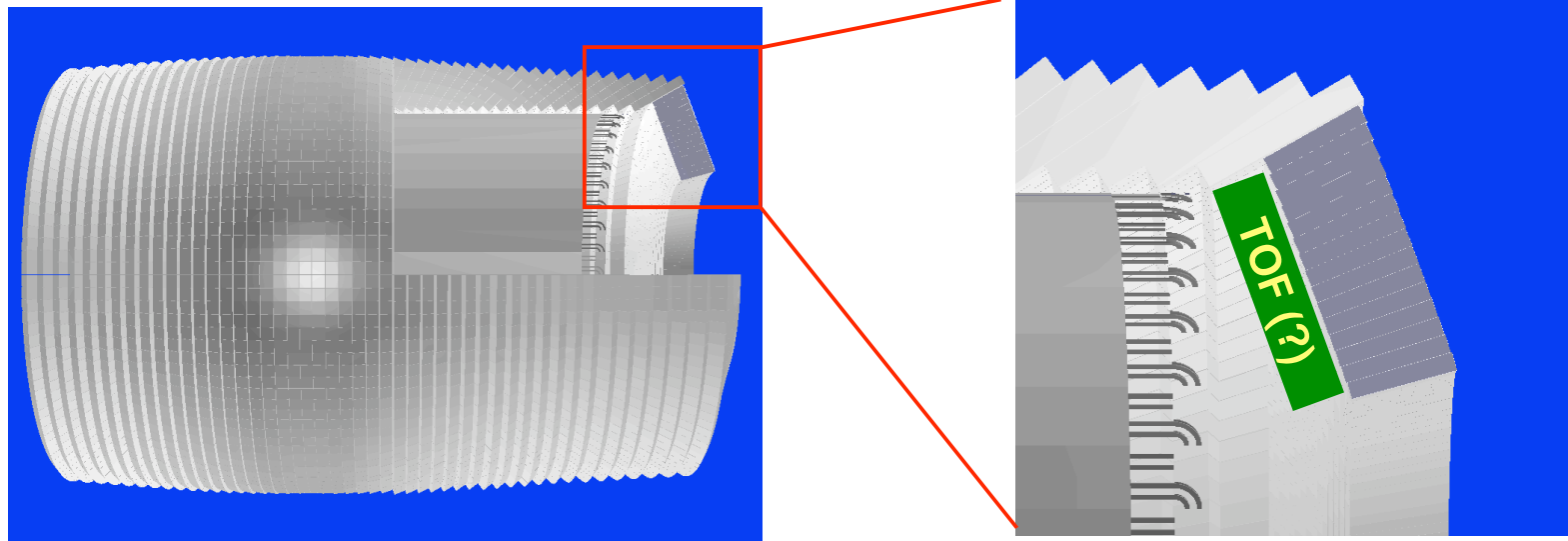
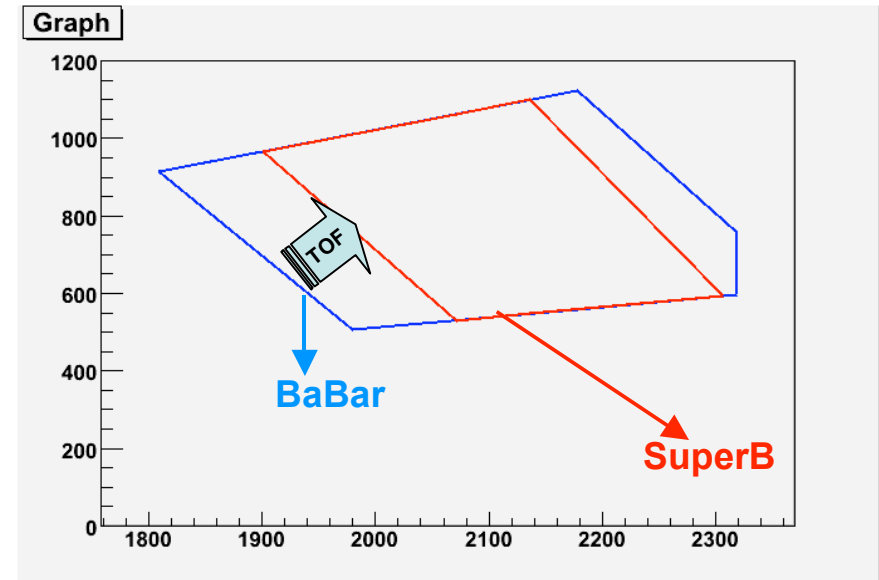


C. Cecchi - S. Germani

INFN Perugia

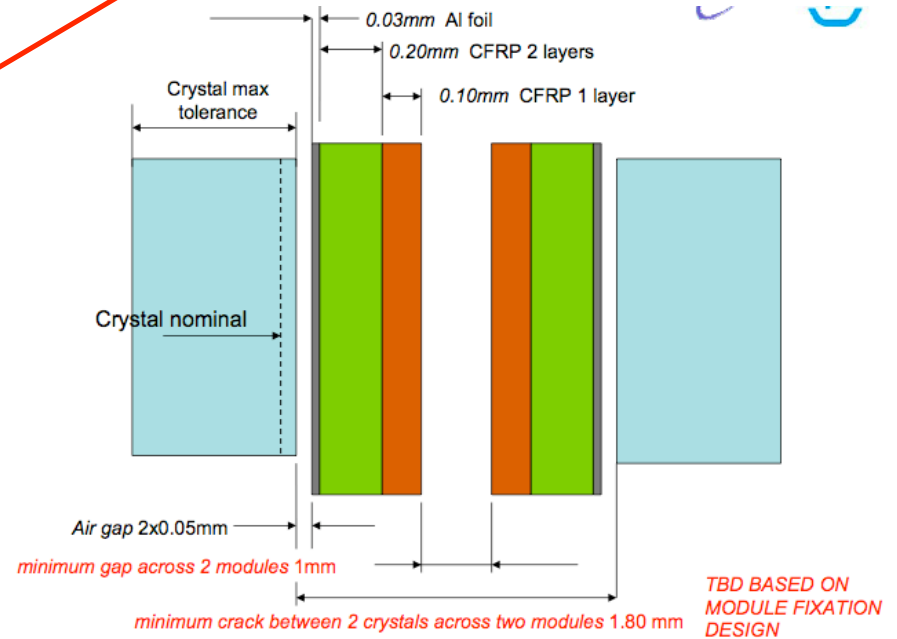
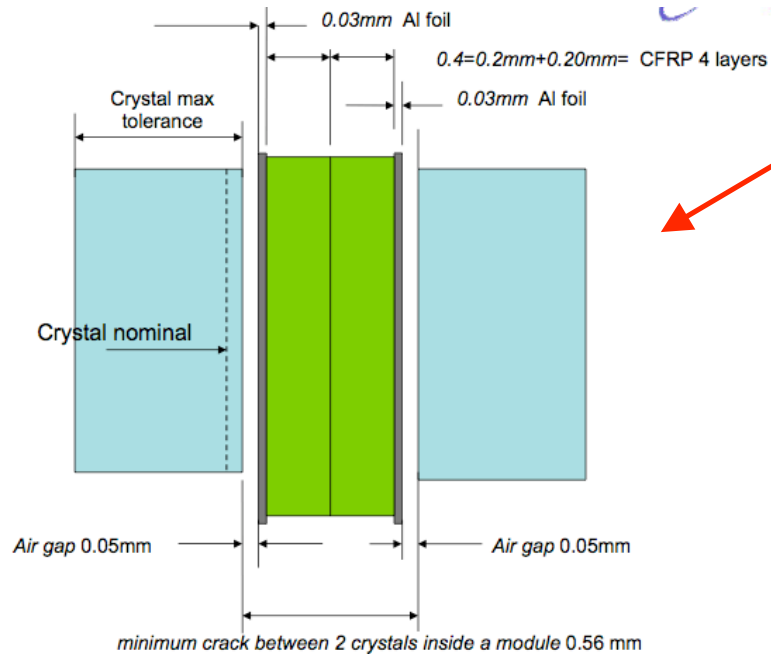
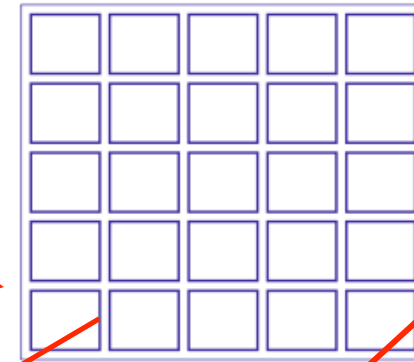
Fwd ECAL Geometry Envelop

- Fill the same BaBar angular region but
 - leave space for TOF: $\Delta Z = (100 \text{ mm}) \cdot \cos(22.7)$
 - Xtals material : LSO (LYSO)
 - Xtal depth = 200 mm ($\sim 17.5 X_0$)



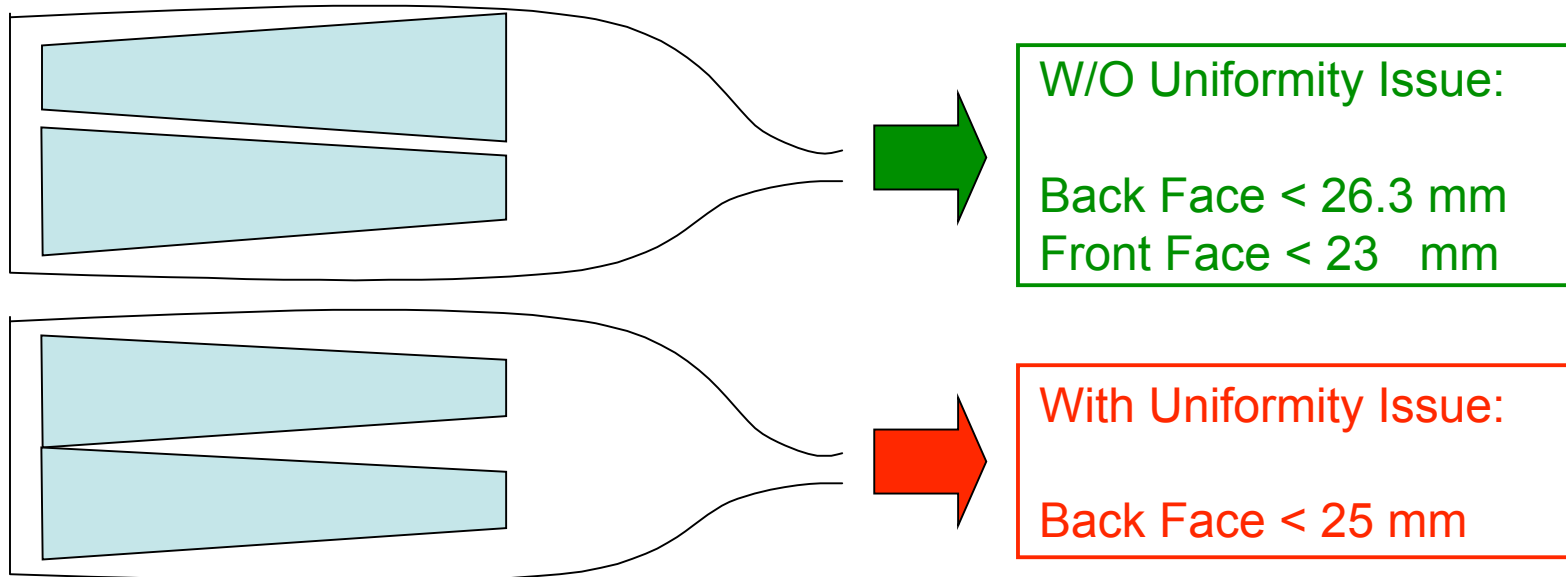
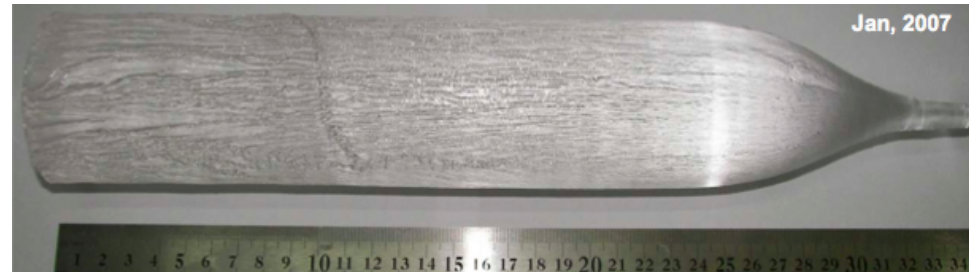
Dead material options

- Carbon Fiber reinforced plastic support structure
 - Naive version : almost no air gap between modules and crystals but correct CF thickness
 - Mechanical engineer version (C. Gargiulo INFN Roma1)
- Only optical isolation (tyvek) crystals holded from back face (to be investigated further)



Crystal size constraints

- Due to maximum boule size (SIPAT) there are some constraints on Crystal size
- Crystal size constraints depend also on whether Ce doping uniformity will be an issue
 - For production
 - For ECAL performances



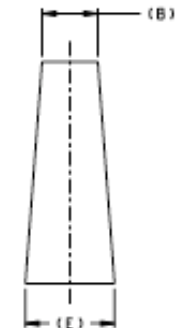
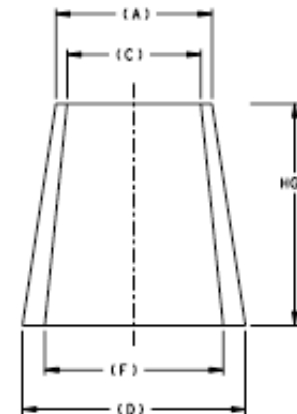
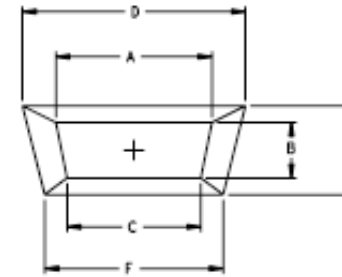
Crystals Dimensions

LSO cristas

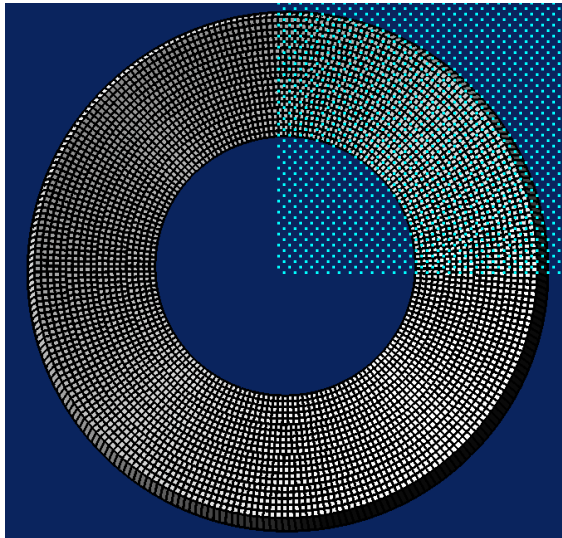
- depth: 20 cm $\sim 17.5 X_0$
- Cristas arranged in 20 rings within 5x5 modules

Ring | A B C | D E F

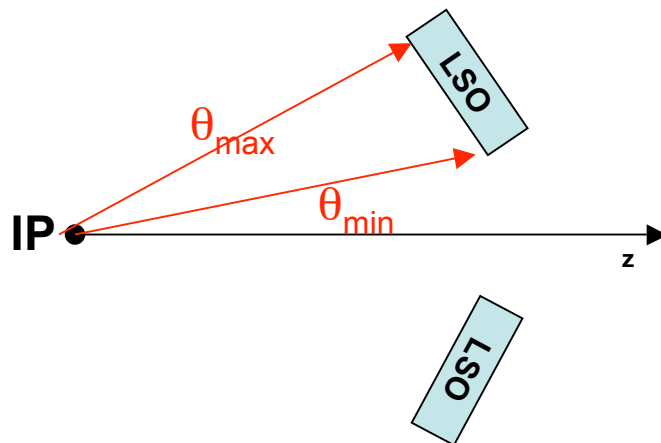
| Ring | A | B | C | D | E | F | |
|------------------------------|----|-------|-------|-------|-------|-------|-------|
| 175 Xtals/Ring 35 Modules | 1 | 19.52 | 23.05 | 18.66 | 21.53 | 25.53 | 20.58 |
| | 2 | 20.30 | 23.01 | 19.44 | 22.40 | 25.49 | 21.45 |
| | 3 | 21.08 | 22.98 | 20.22 | 23.27 | 25.46 | 22.31 |
| | 4 | 21.86 | 22.95 | 20.99 | 24.13 | 25.43 | 23.18 |
| | 5 | 22.63 | 22.82 | 21.77 | 24.99 | 25.29 | 24.04 |
| 205 Xtals/Ring 41 Modules | 6 | 19.92 | 22.90 | 19.18 | 22.02 | 25.38 | 21.19 |
| | 7 | 20.58 | 22.89 | 19.84 | 22.75 | 25.37 | 21.93 |
| | 8 | 21.24 | 22.87 | 20.49 | 23.49 | 25.35 | 22.66 |
| | 9 | 21.90 | 22.86 | 21.15 | 24.22 | 25.34 | 23.39 |
| | 10 | 22.55 | 22.76 | 21.80 | 24.95 | 25.23 | 24.11 |
| 235 Xtals/Ring 45 Modules | 11 | 20.16 | 22.85 | 19.50 | 22.31 | 25.33 | 21.57 |
| | 12 | 20.73 | 22.85 | 20.07 | 22.95 | 25.33 | 22.21 |
| | 13 | 21.31 | 22.86 | 20.64 | 23.59 | 25.34 | 22.85 |
| | 14 | 21.89 | 22.87 | 21.22 | 24.23 | 25.35 | 23.48 |
| | 15 | 22.46 | 22.80 | 21.79 | 24.87 | 25.27 | 24.12 |
| 260 Xtals/Ring 52 Modules | 16 | 20.83 | 22.90 | 20.21 | 23.07 | 25.38 | 22.38 |
| | 17 | 21.36 | 22.92 | 20.73 | 23.65 | 25.40 | 22.96 |
| | 18 | 21.88 | 22.95 | 21.26 | 24.23 | 25.43 | 23.54 |
| | 19 | 22.41 | 22.98 | 21.78 | 24.82 | 25.46 | 24.12 |
| | 20 | 22.93 | 22.93 | 22.30 | 25.40 | 25.40 | 24.70 |



~4400 Crystals

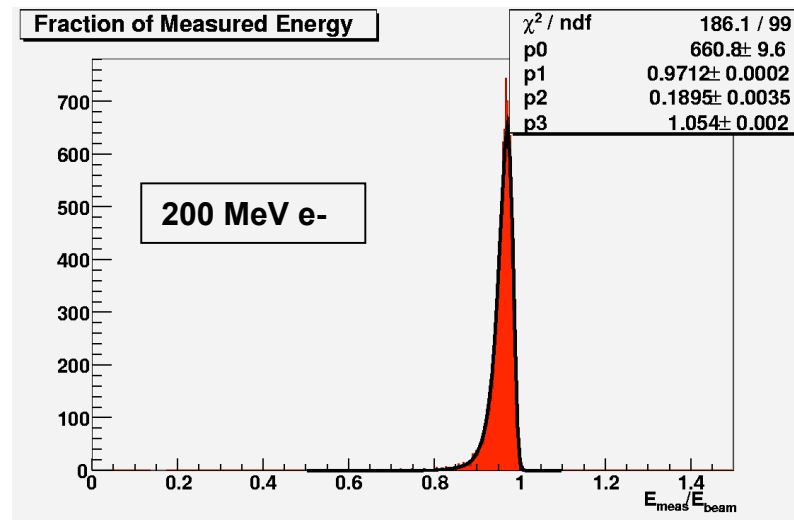


- Particles:
 - e- γ
- Energies:
 - 50, 100, 200, 350, 500, 750, 1000, 2000, 5000, 7000 MeV
- Surface:
 - Particles uniformly distributed in one quadrant between θ_{\min} - θ_{\max}
- Primary vertex position:
 - Interaction point ($x=y=z=0$)



Algorithm:

1. Get Xtal deposited energy
2. Perform Poisson smearing with 8k pe/MeV
3. Assign 1% calibration error to crystals
 - Reconstruct with $8k \pm 1\%$ pe/MeV
4. Apply minimum energy cut for each xtal
 - 1 MeV to be tuned
5. Sum Xtal energy



Comments:

- All distributions have asymmetric low energy tails
 - Backsplash for low E particles
 - Forward leakage for high E particles
- Energy distributions fit with asymmetric Gauss function: $\sigma = \sigma(E)$
- Proposed parameterisation uses fit of p1,p2,p3 vs Energy

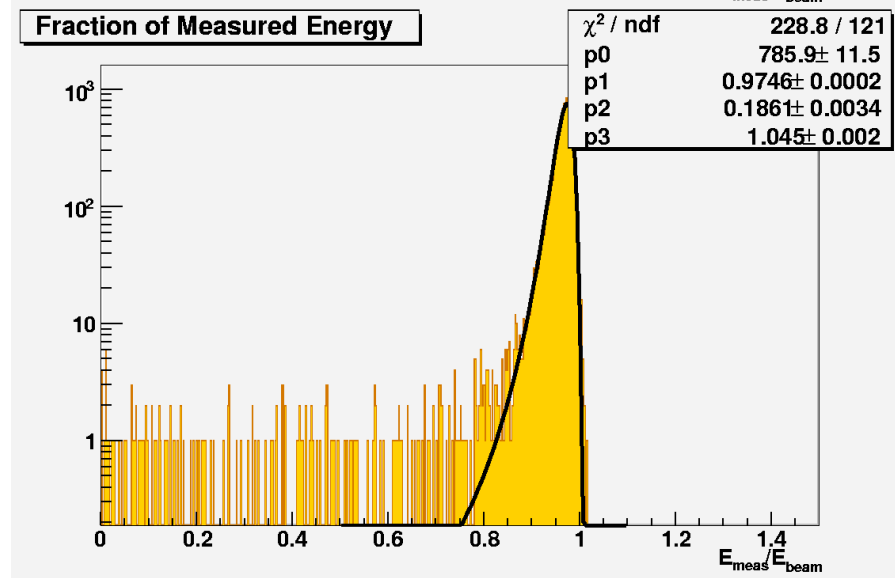
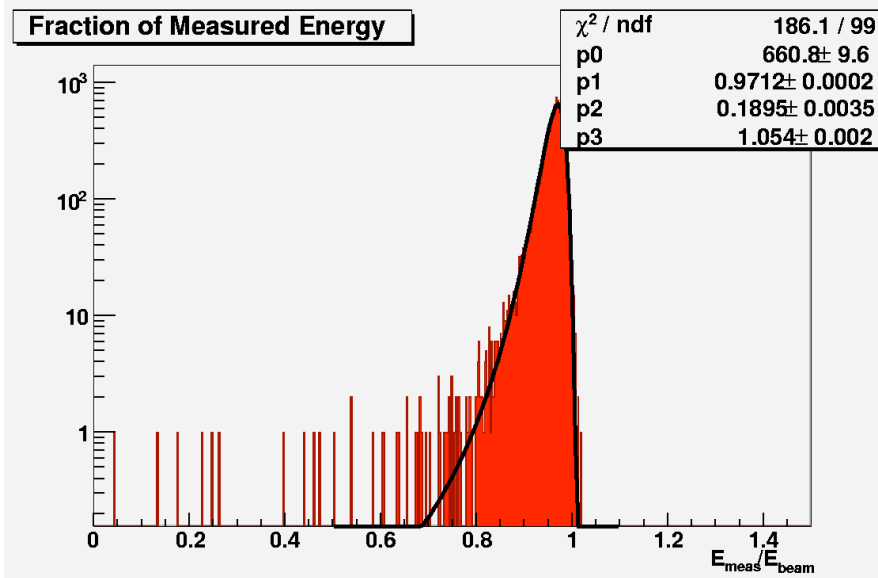
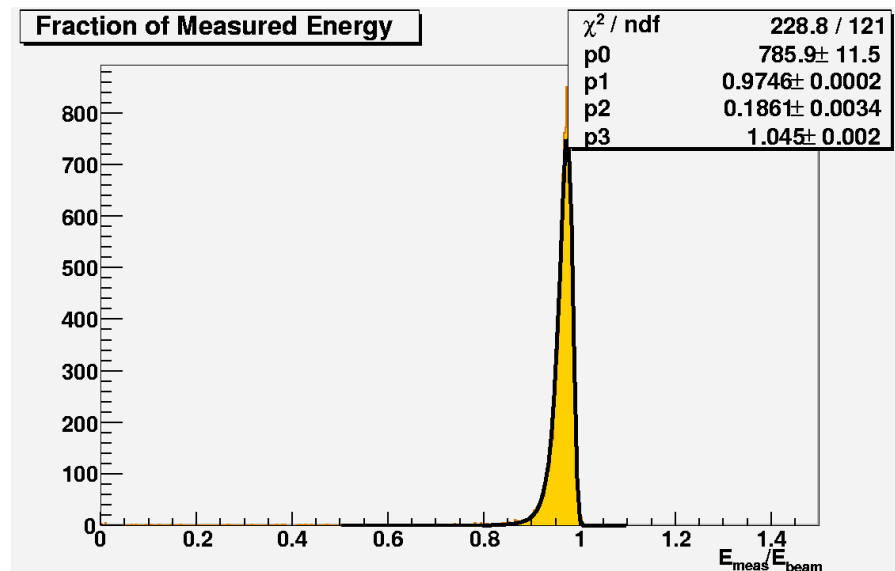
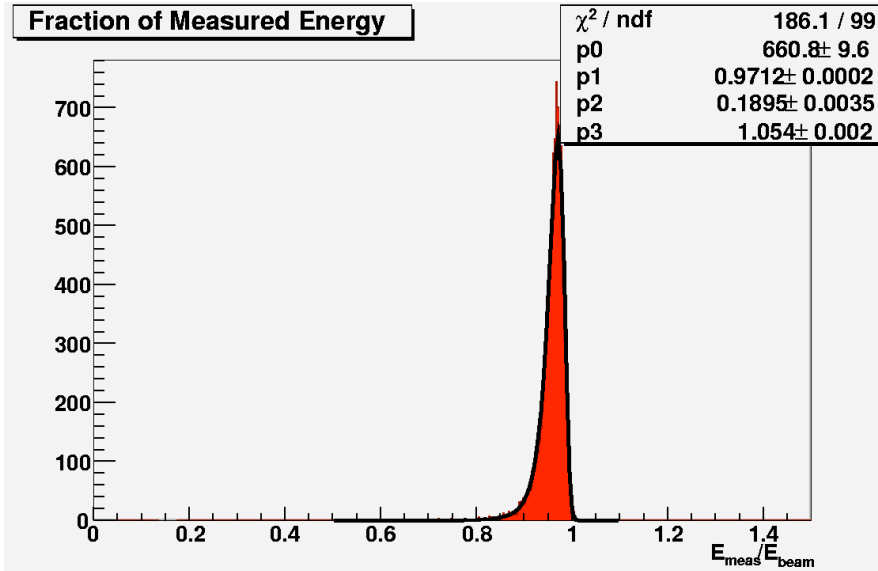


$$F(x) = P_0 e^{-\frac{(x-P_1)^2}{2[P_2(P_3-x)]^2}}$$

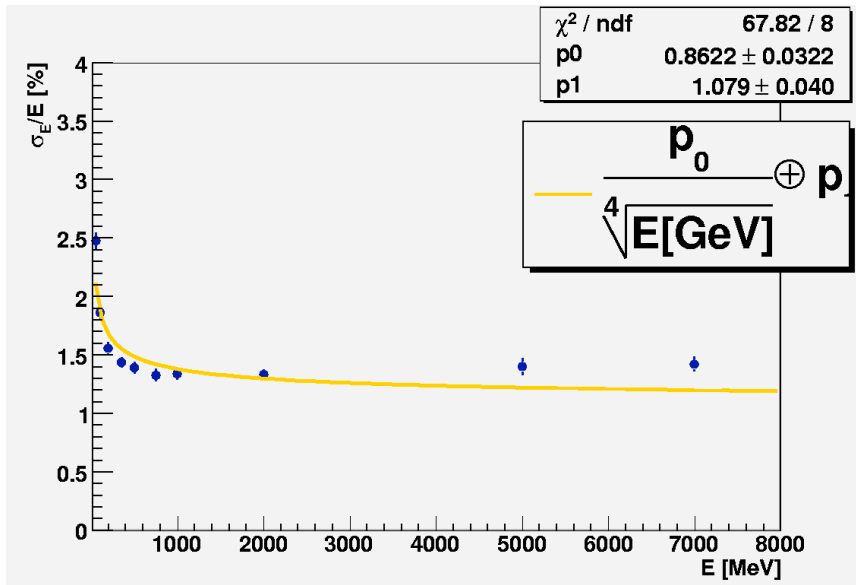
- P1 : most probable value (mpv)
- P2(P3-x) : running σ

200 MeV e⁻

2 GeV e⁻



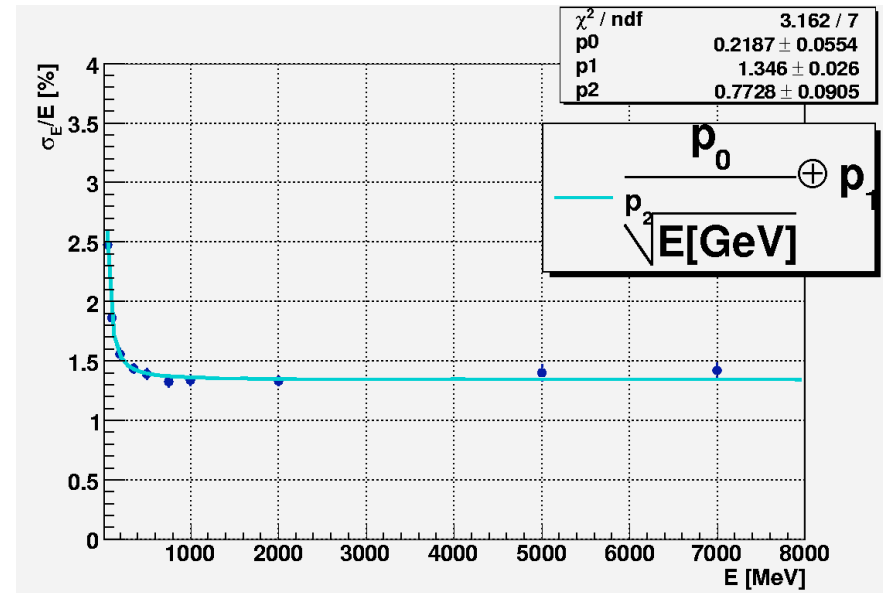
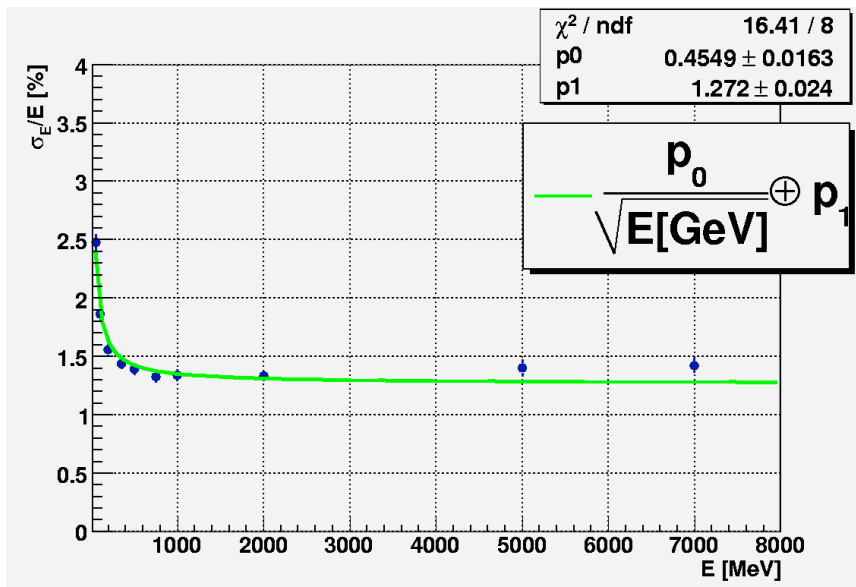
Energy Resolution vs Energy: e-



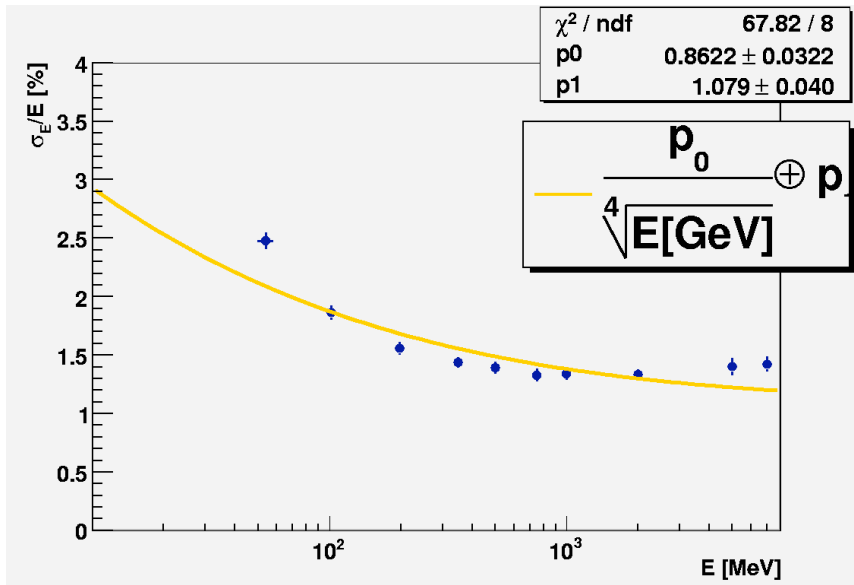
- To show the energy resolution use the running sigma value at the peak : $\sigma(\text{mpv})$
 - Slightly underestimates real width
- Fit measured points with

$$\frac{\sigma(E)}{E} = \frac{p_0}{\sqrt[4]{E[\text{GeV}]}} \oplus p_1 \quad \frac{\sigma(E)}{E} = \frac{p_0}{\sqrt{E[\text{GeV}]}} \oplus p_1$$

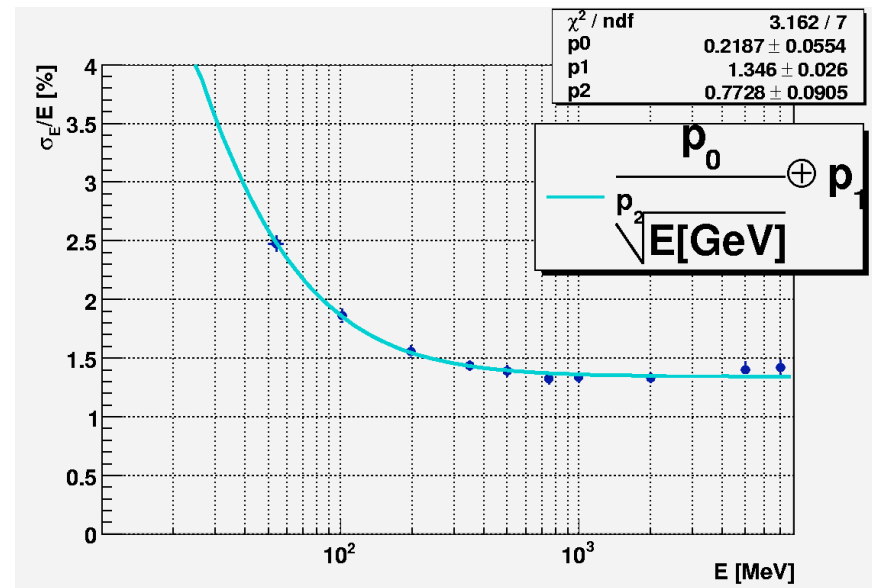
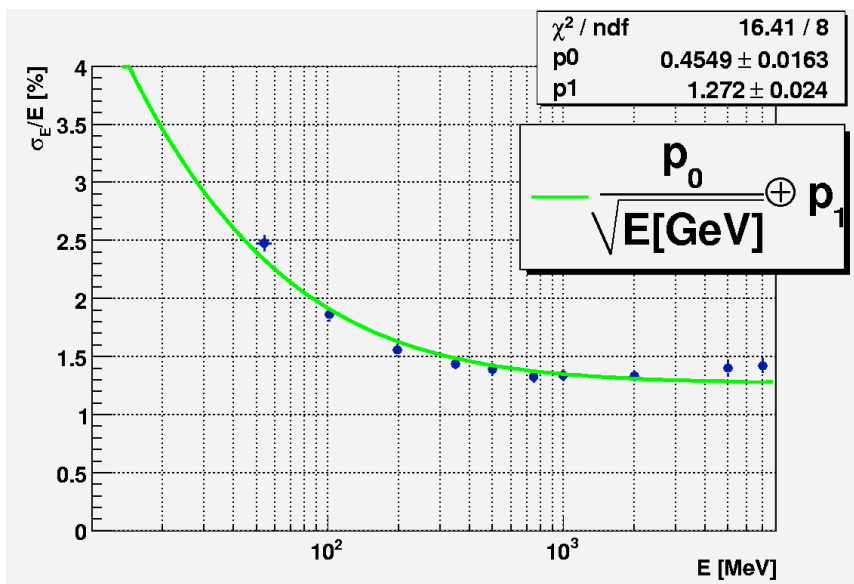
$$\frac{\sigma(E)}{E} = \frac{p_0}{(E[\text{GeV}])^{p_2}} \oplus p_1$$



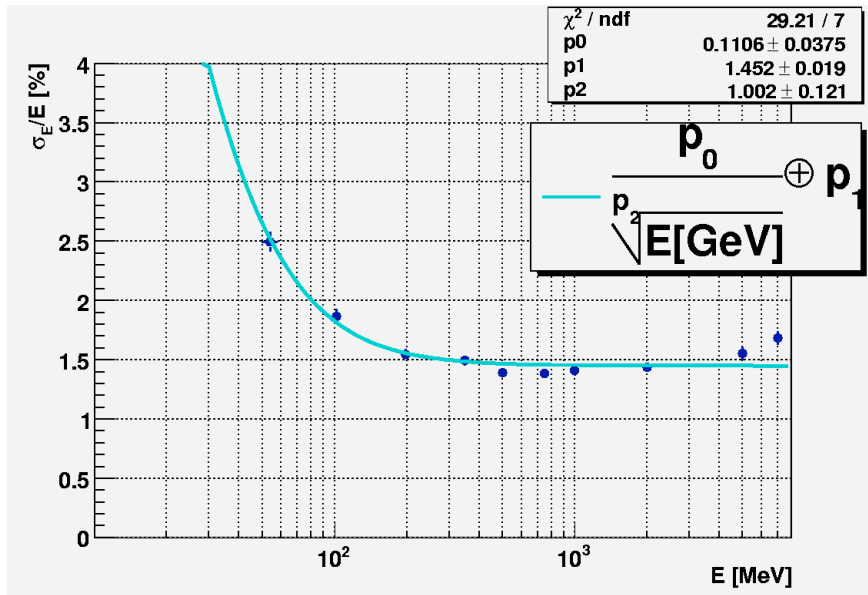
Energy Resolution vs Energy (log scale): e-



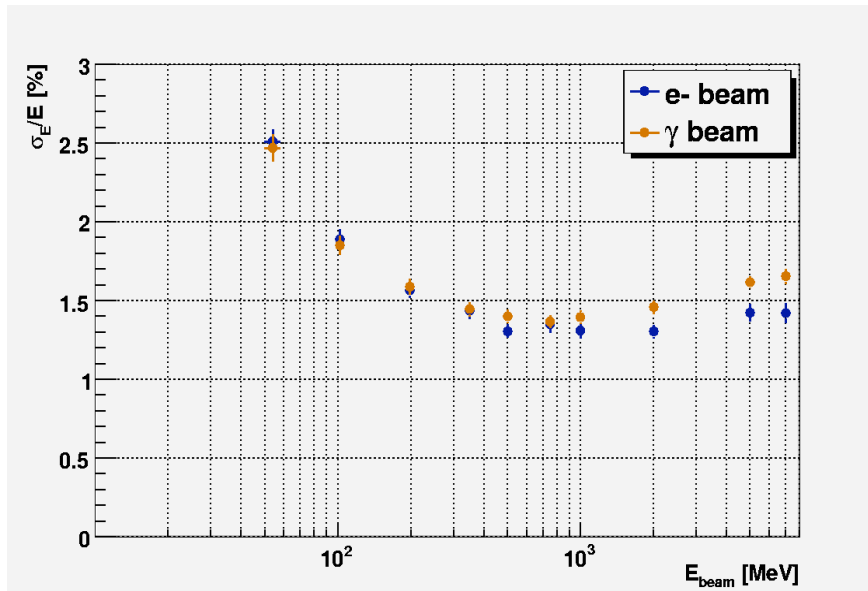
- The fit with $\text{sqrt}[x](E)$ seems to give a better agreement
 - index = 0.77



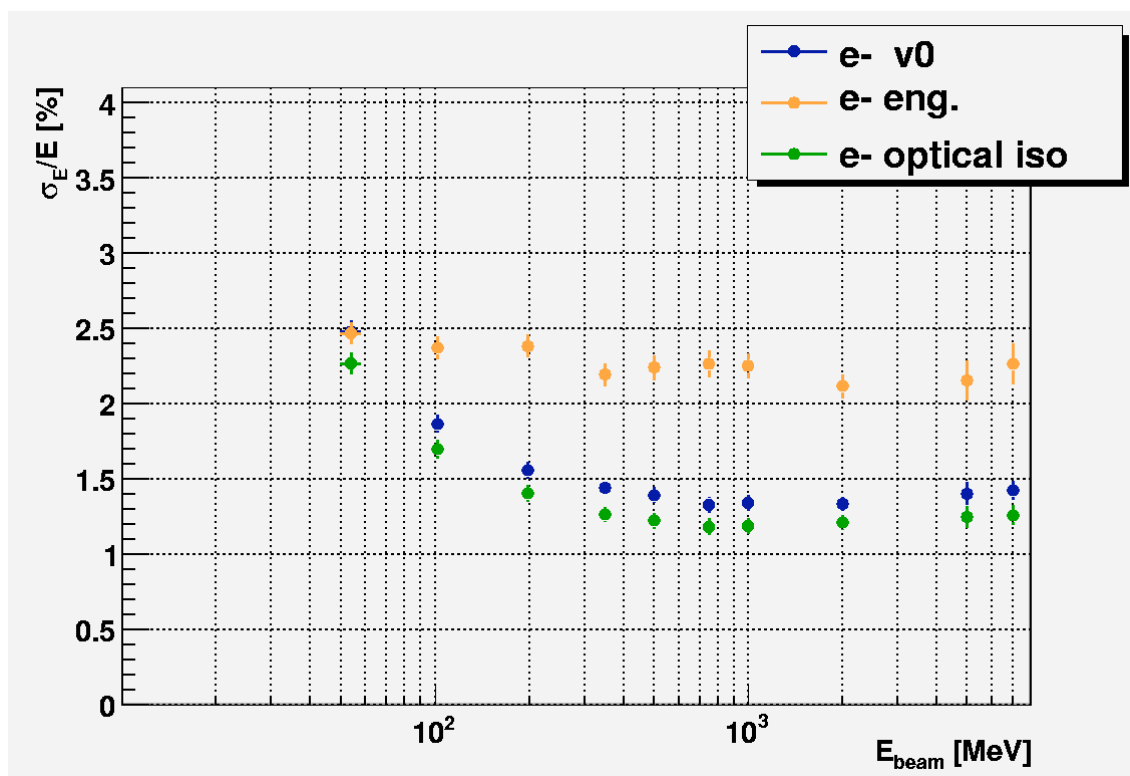
e- γ comparison



- electrons:
 - p0 = 0.21
 - p1 = 1.35
 - p2 = 0.77
- γ :
 - p0 = 0.11
 - p1 = 1.45
 - p2 = 1.0

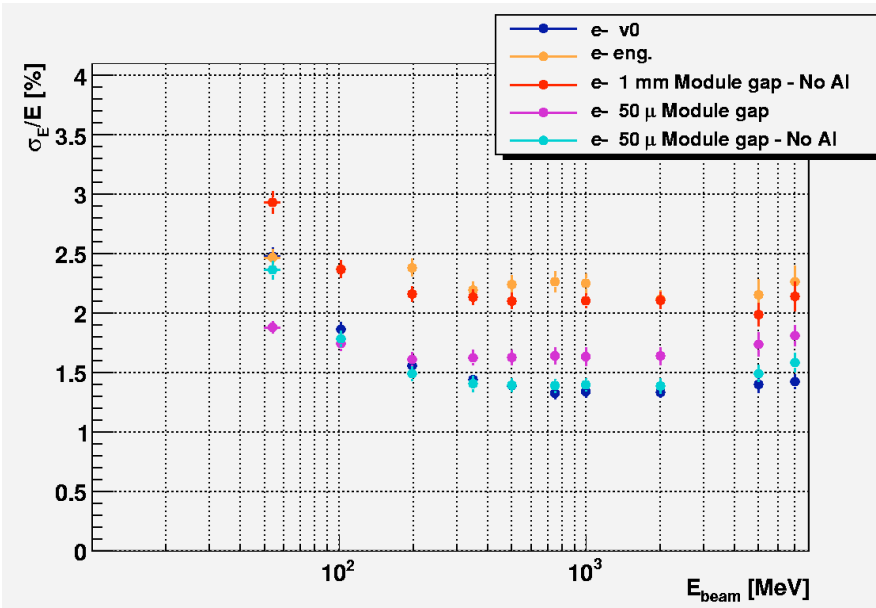
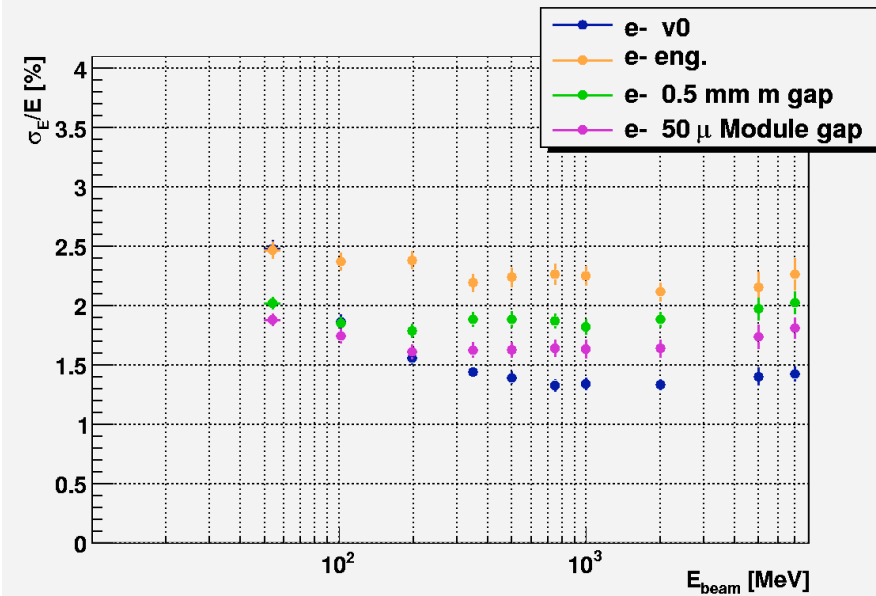


Main geometrical options



- Geometry options
 - naive
 - geometry from mechanical engineer
 - only optical isolation
- Geometry with only optical isolation gives a small improvement
- Geometry with larger empty spaces worsen the resolution

What affect resolution?



- Empty gap between modules
 - has a big impact on the resolution

- Al layer
 - has some effect on the resolution
 - compared to the module gap effect is small

Conclusions

- Constraints on Fwd ECAL geometry are still evolving
 - Fwd PID
 - Limits on crystal size
- Several dead material options have been investigated
- Baseline has CF structure
 - Simulation with optical isolation only (Tyvek) shows some (small) improvement
- Al layer (30 μm) affects resolution but the effect is not large
- Empty space between modules seems to affect the resolution in a significant way