

*University of Padova*

*Department of Physics*

# Signal simulations in silicon detectors

A simplified approach

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Leonardo Pigatto - [leonardo.pigatto@studenti.unipd.it](mailto:leonardo.pigatto@studenti.unipd.it)



# Introduction

- improve spatial resolution using transient signals
- better measure of the ion- $\gamma$  angle
- improve Doppler correction
- improve detection overall efficiency by discriminating particles

## **OBJECTIVE**

Simulate signals and extrapolate useful information for particle identification

# Framework

## AGATA Detector Library - ADL3

Applying to plane silicon detectors the techniques used for AGATA's Ge crystals

- Building the new geometry -> SIMION instruments
- Material characteristics \*
- Particle interaction points -> trace discretization
- Running the simulation

# The model and its limits

Assumed equation for electron/hole currents:

->Drift only - diffusion to be included in future developments?

$$J = q\mu nE$$

Neither interactions between charges nor trapping phenomena considered

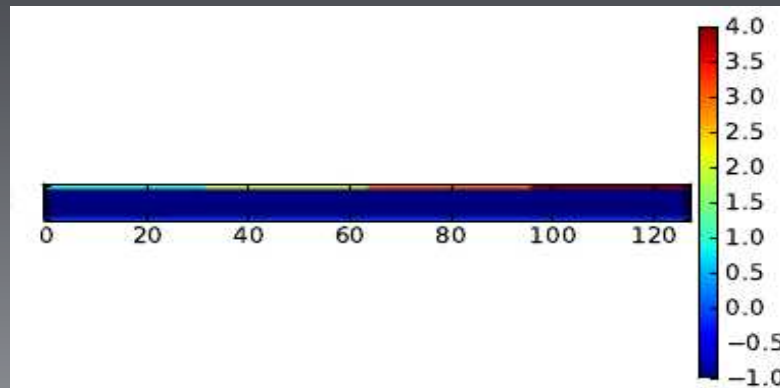
No interstrip is present between electrodes

The current in the  $k^{\text{th}}$  electrode is given by the weighting field through Ramo's theorem

$$I_k = -qvF_k$$

# Geometry

Planar detector with 4 electrodes + core

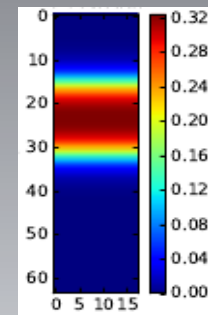
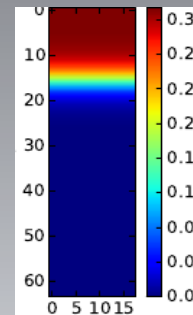
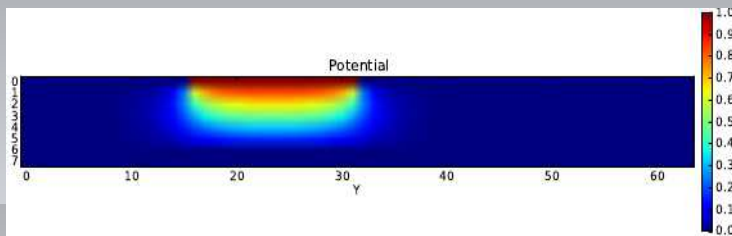
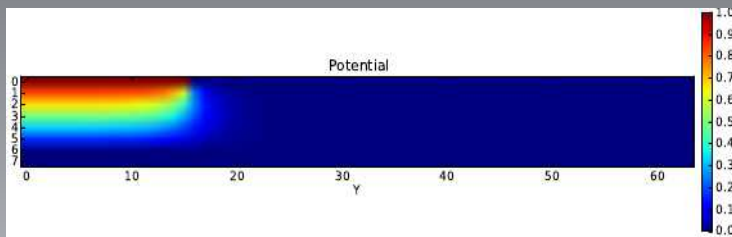
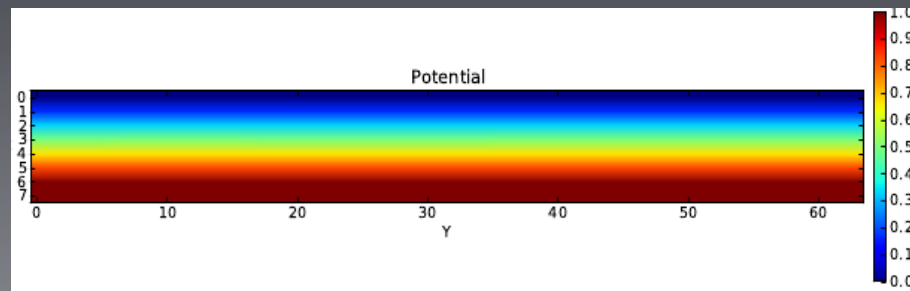


The weighting fields are calculated by applying a unitary potential on the  $k^{\text{th}}$  electrode and a zero potential to all the others

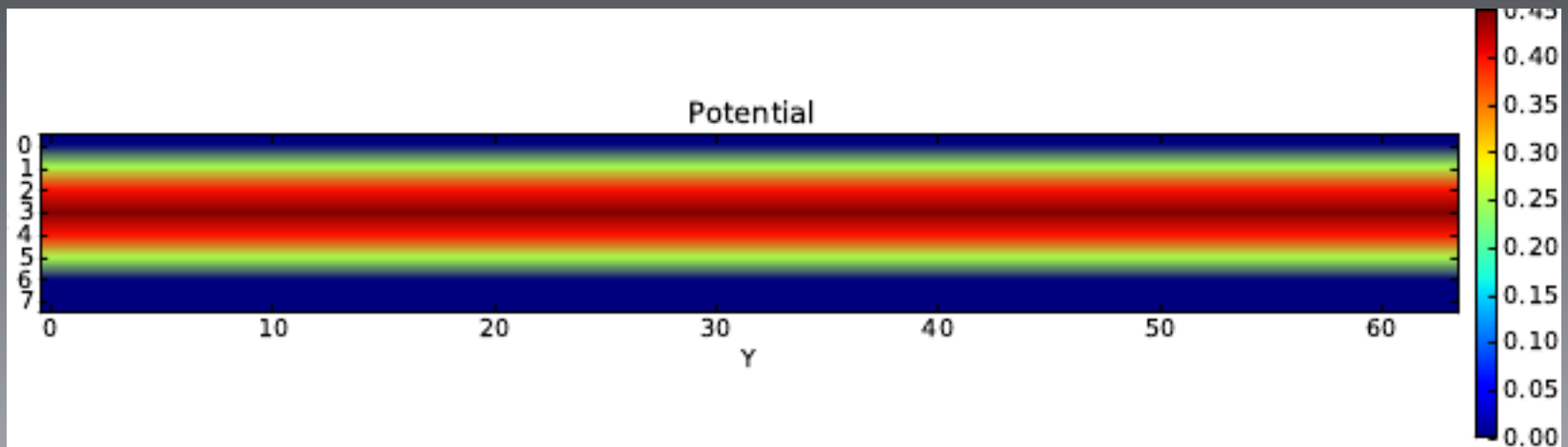
In the bulk the space charge distribution is calculated starting from a constant density (doping concentration)

# Weighting potentials obtained as solutions of the Laplace equation with the overrelaxation method

Scaling the potentials with a given factor the fields are calculated

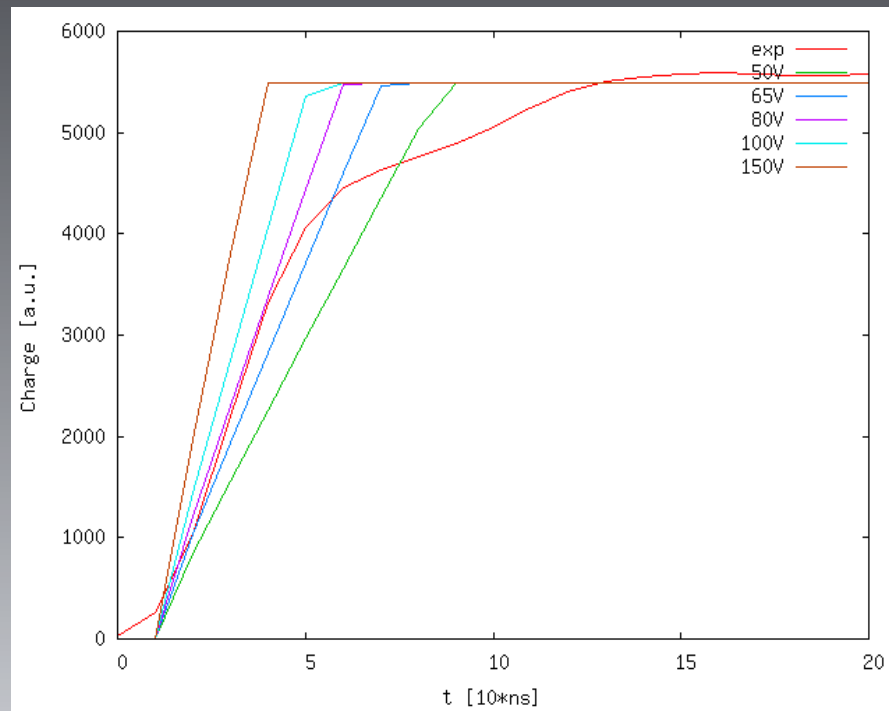


In the bulk the Poisson equation is solved through overrelaxation and a small electric field is obtained from the space charge distribution



# First simulations

Comparison with experimental signal (5485 keV  $\alpha$ ) to find best voltage



1mm thick detector @ 80V with  $1 \times 10^{10}$  atoms/cm<sup>3</sup>

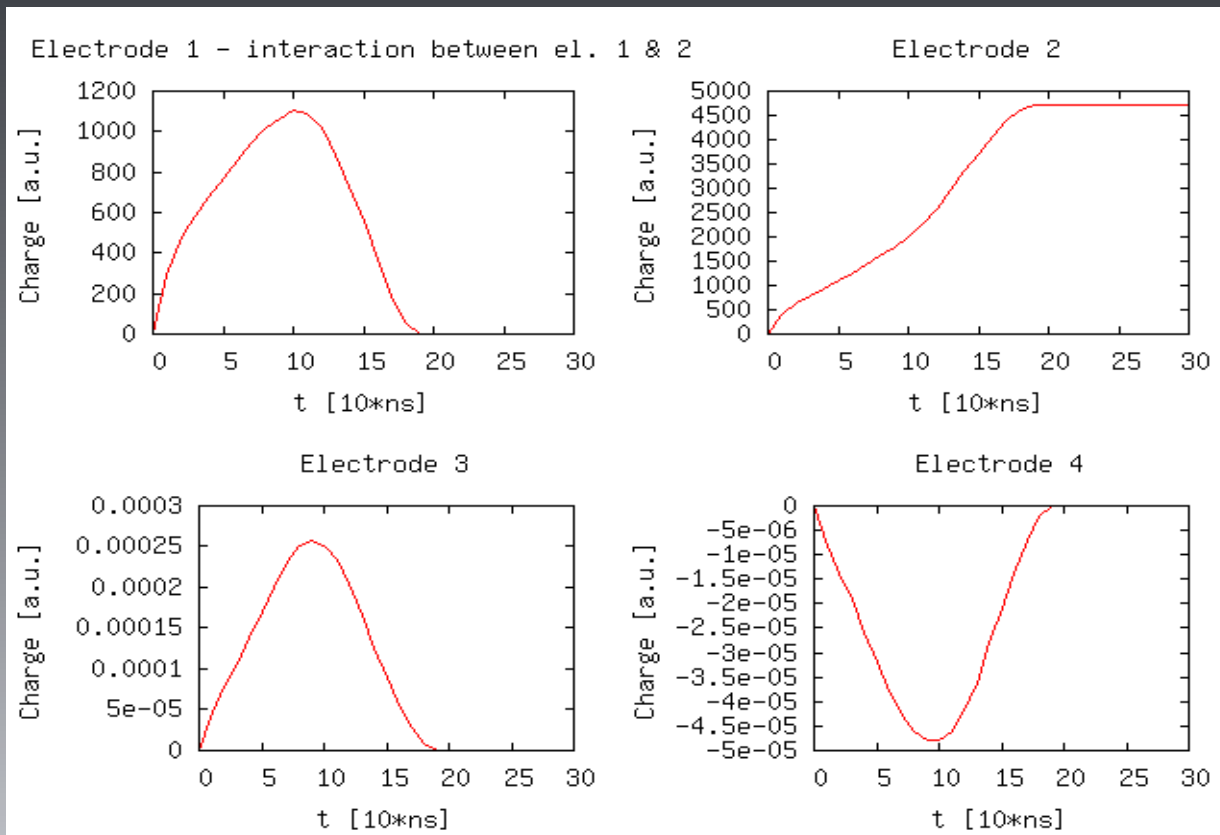


# A few warnings...

The simulated signal fits well enough the reference case in the middle but important discrepancies are clear at the head and tail of the signal

- In the simulation no pre-amplification effects are considered (infinite bandwidth)
- The simulated event is located in the exact middle of the segment while in the experimental case some charge sharing might be present

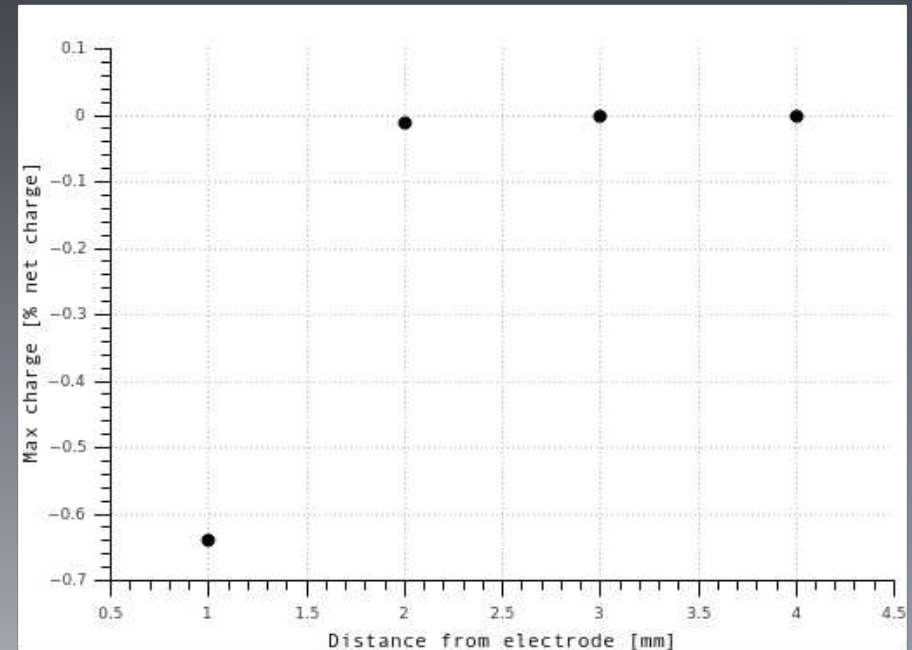
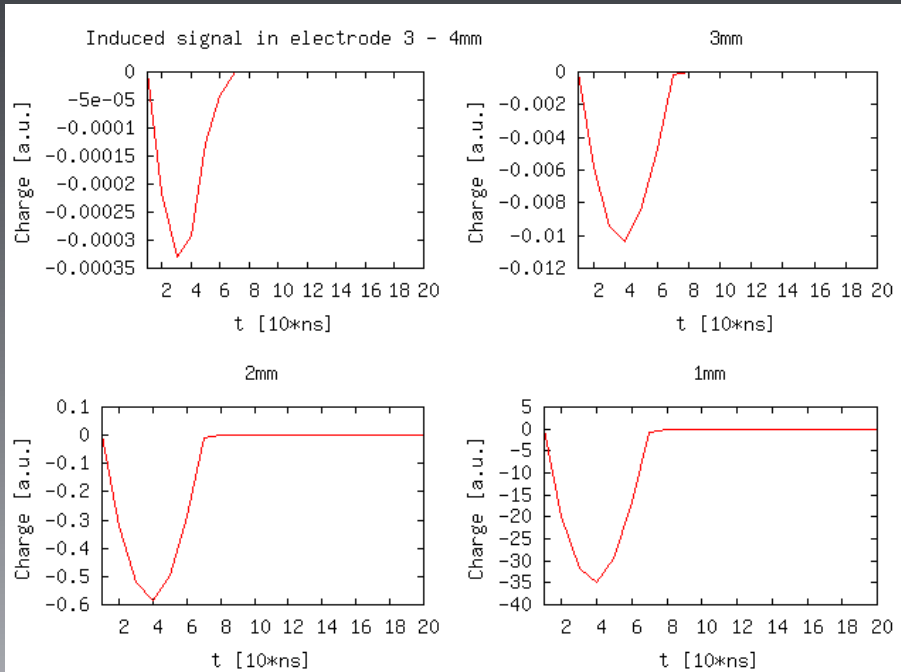
# Charge sharing



Interaction in the  
2<sup>nd</sup> electrode but  
very close to the  
1<sup>st</sup>

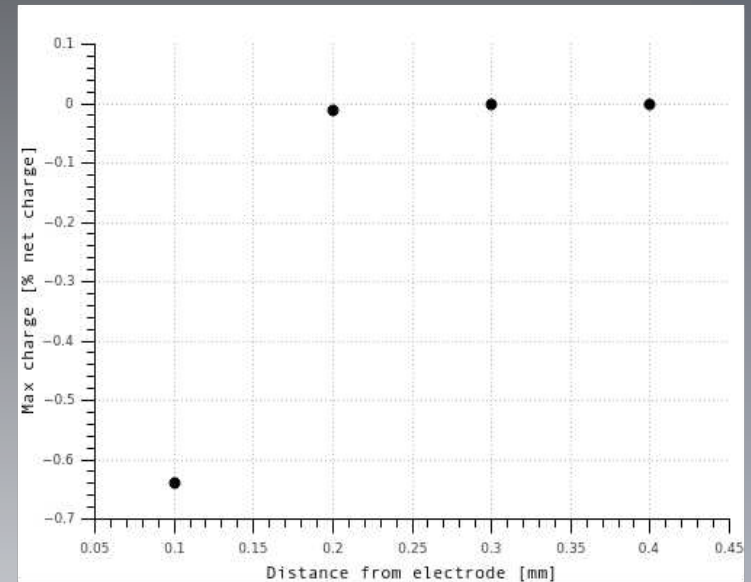
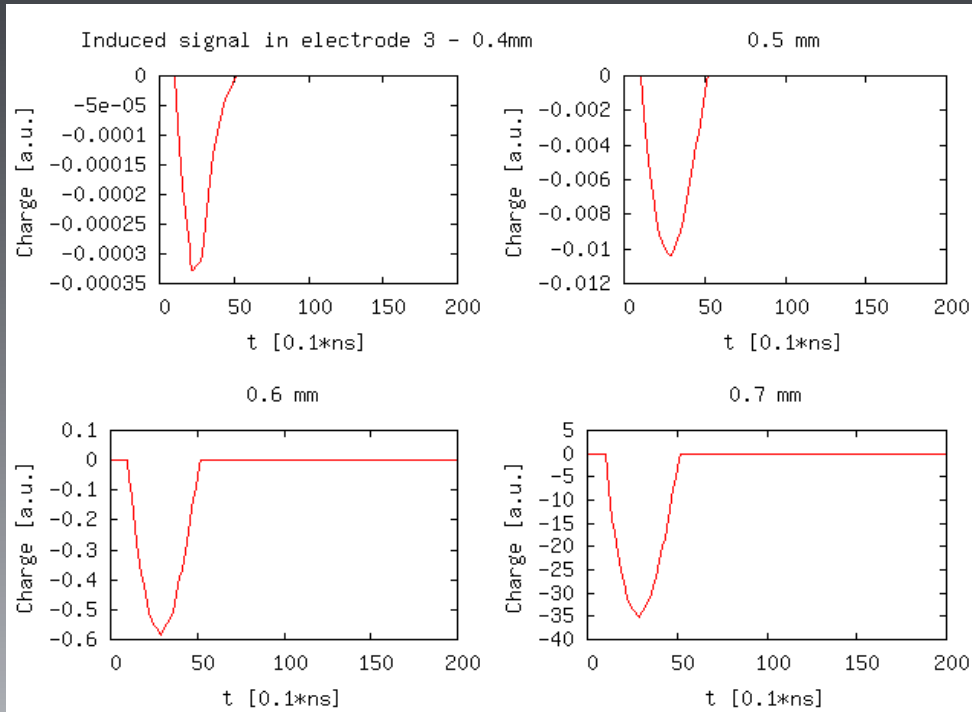
Charge sharing takes place when the interaction is deep inside the bulk and between two electrodes

# Position and transients



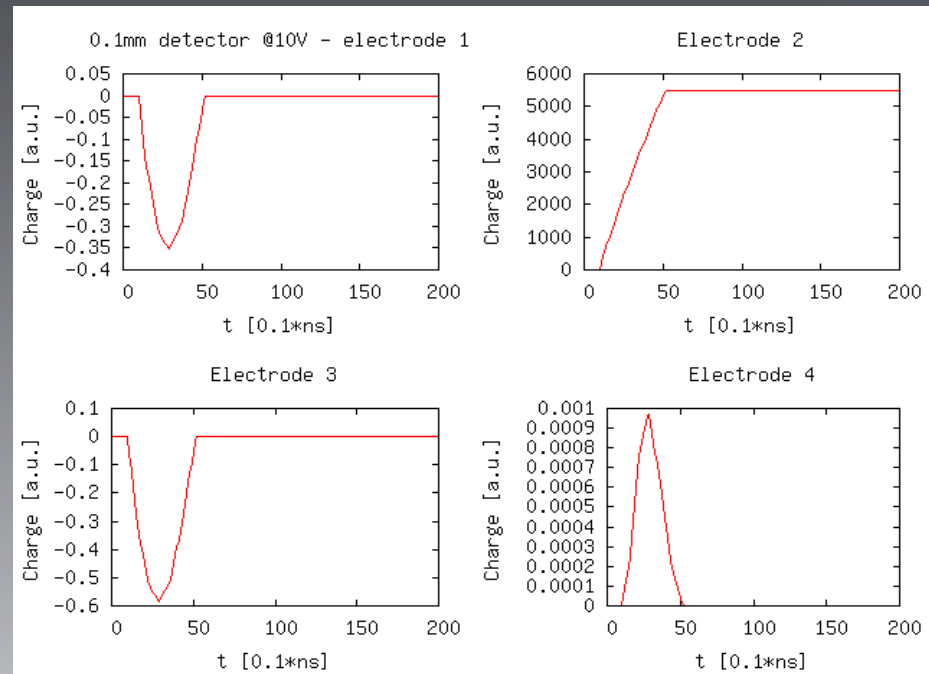
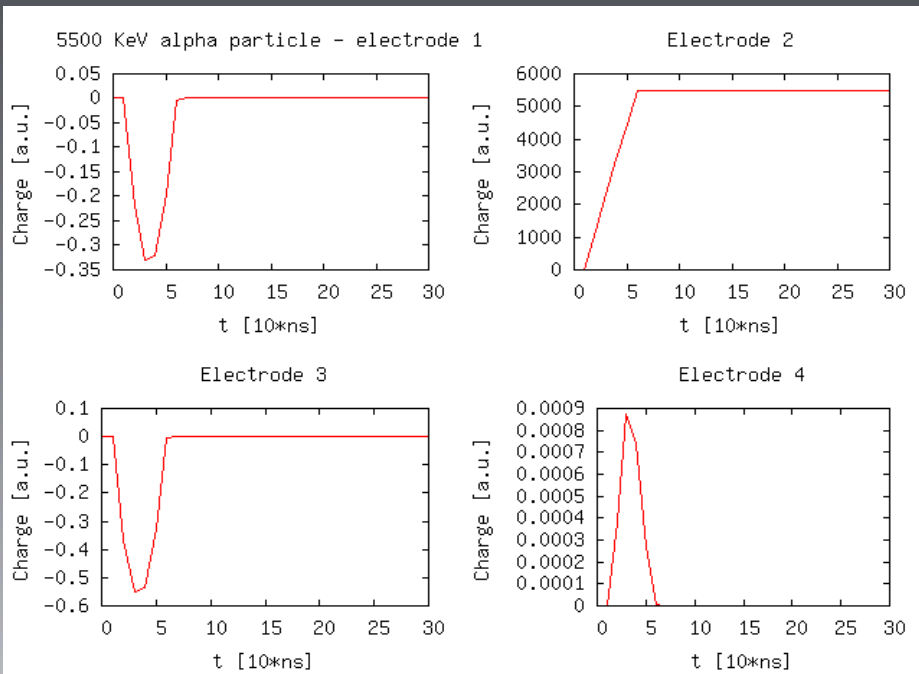
Interaction in the 2<sup>nd</sup> electrode changing its position towards the 3<sup>rd</sup>, the transient signal varies with position and becomes significant only close to the electrode

The same simulations have been made for a 0.1 mm thick detector at 10V. As expected the transient signals show the same pattern as before

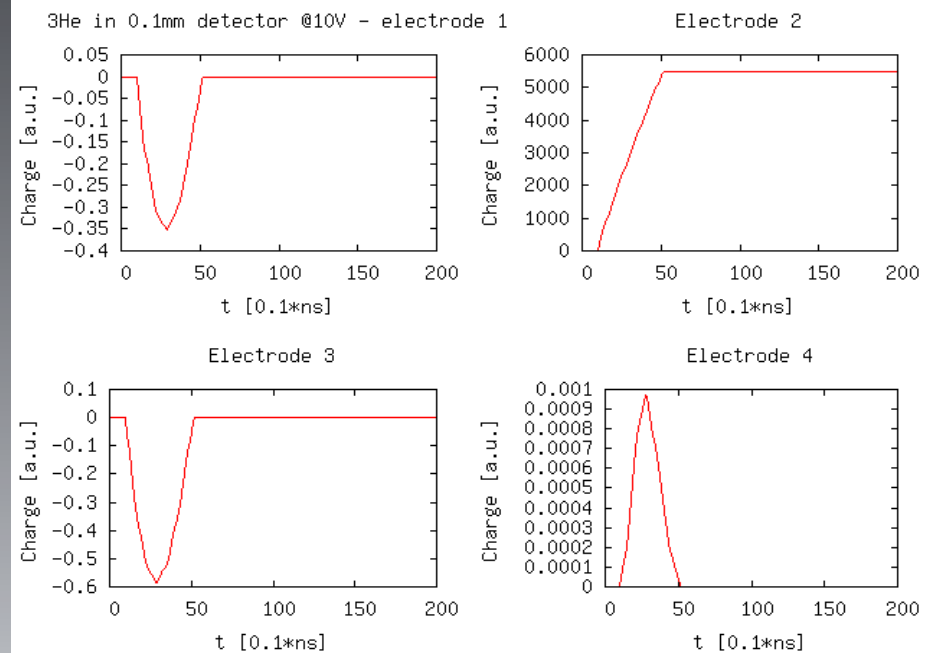
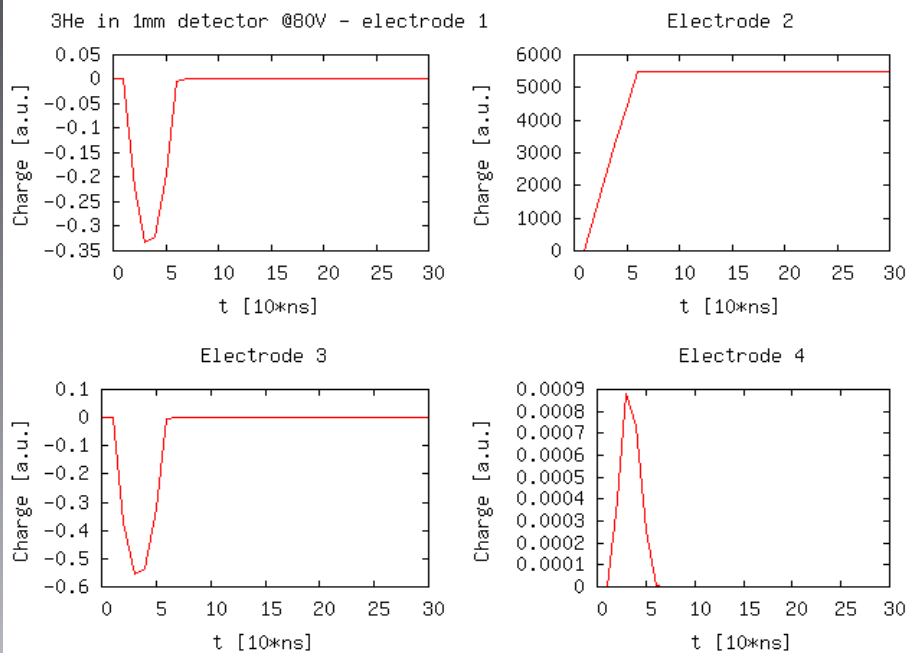


Next step? Simulate signal from different particles, pick observables that allow the extrapolation of useful information

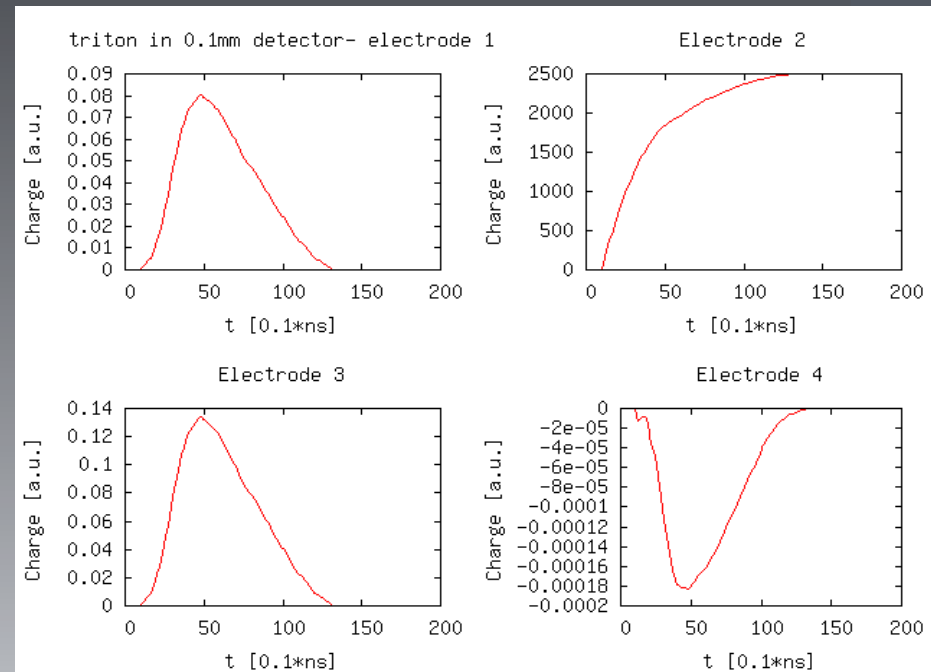
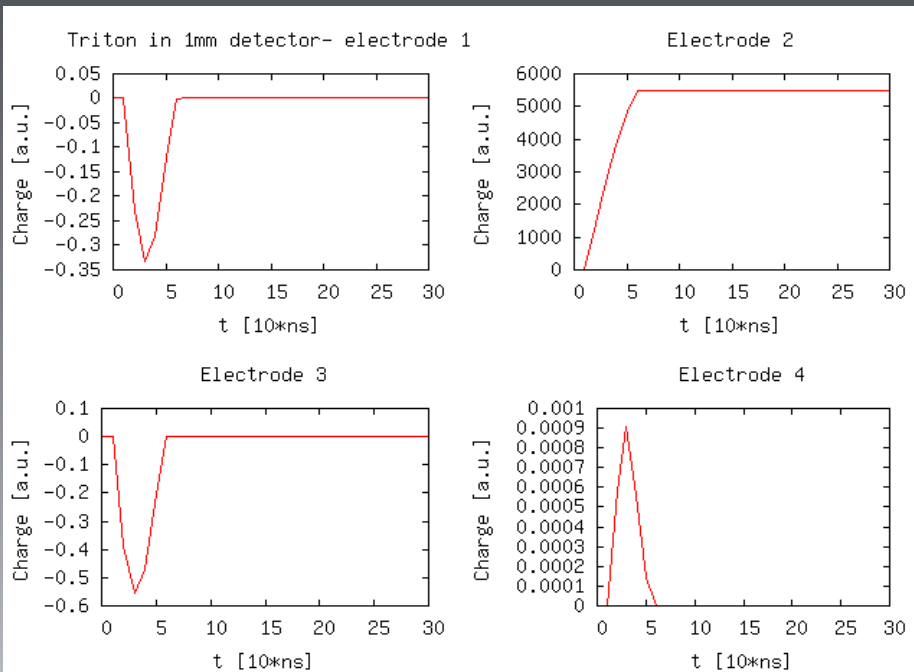
# $\alpha$ -particle



# $^3\text{He}$

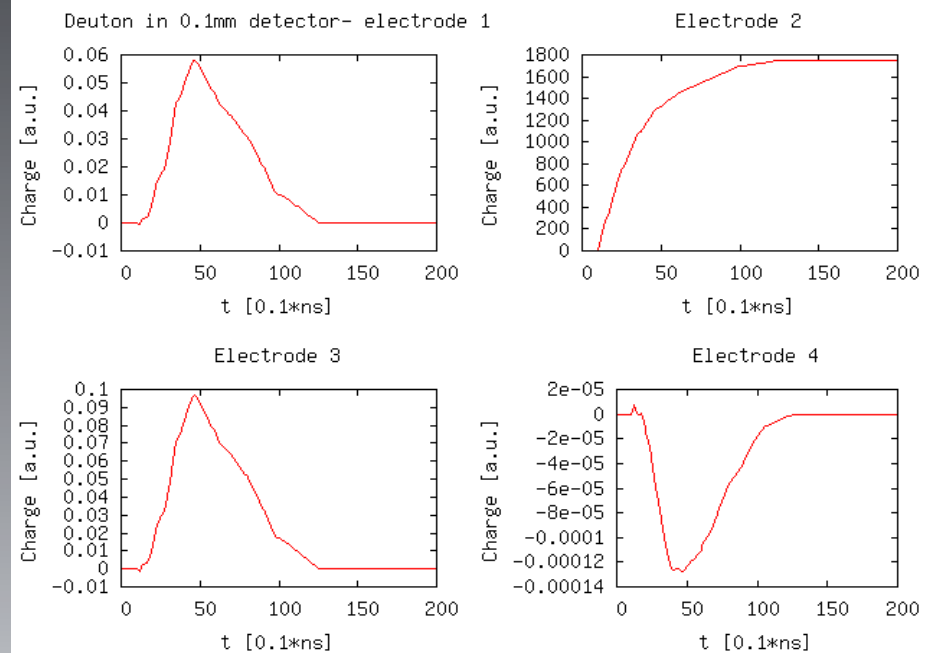
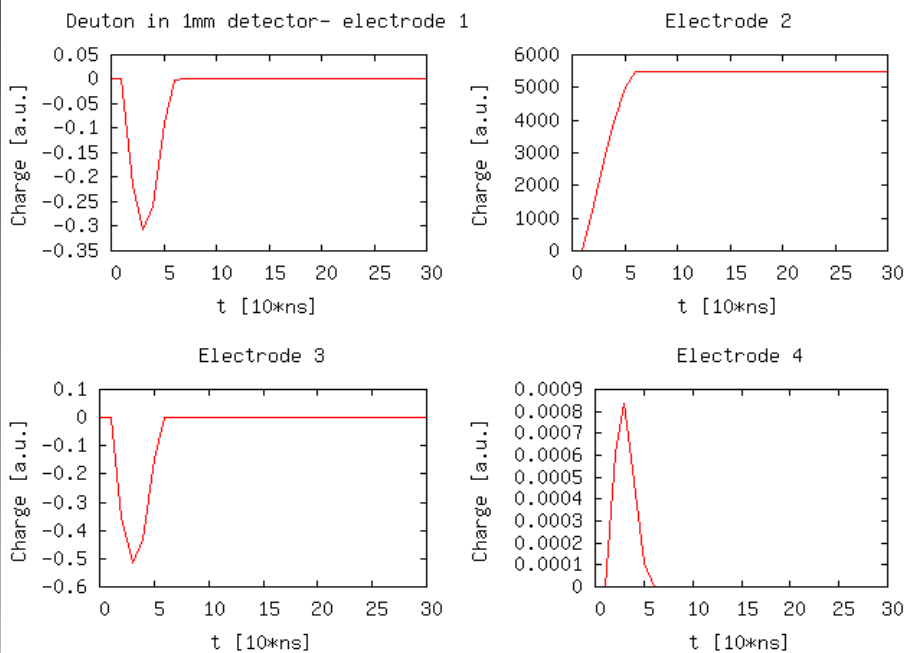


# Triton



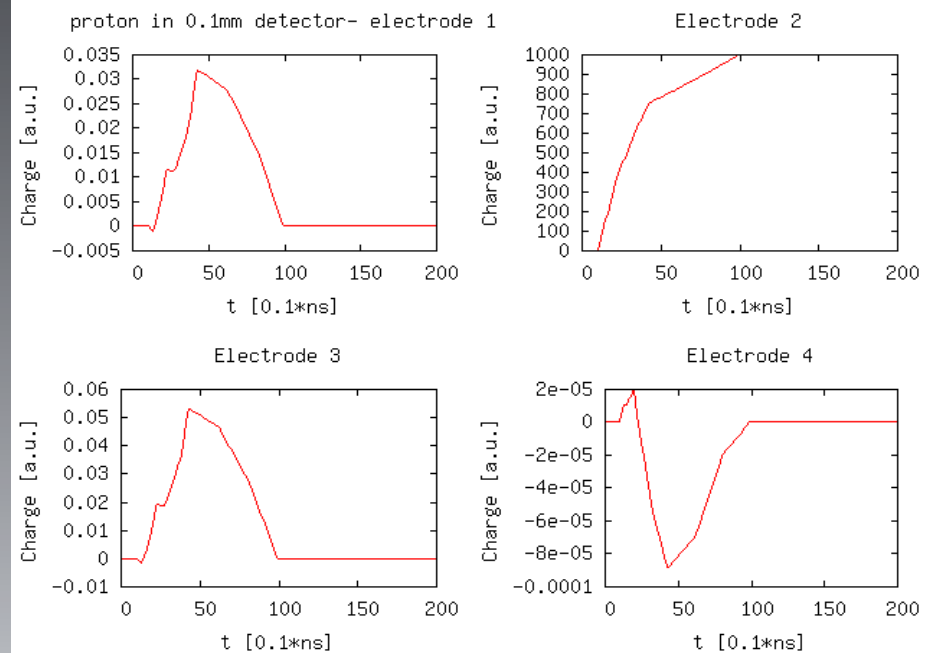
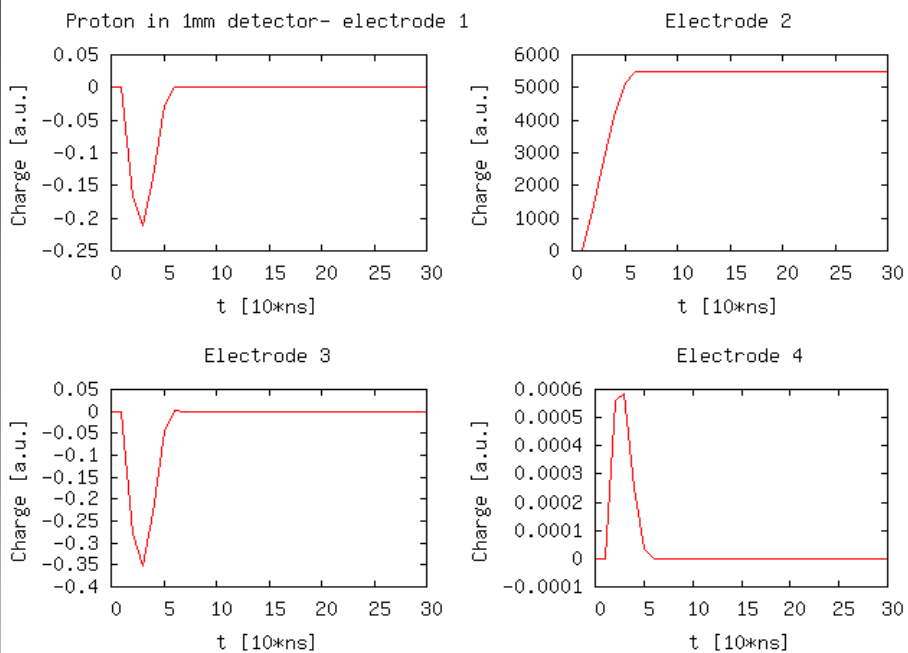
The net charge signal in 0.1mm detector does not reach the total energy because the particle punches through and loses only a fraction of its energy

# Deuteron





# Proton



# Nice pictures but...

We have to choose the right particle identifiers (PI):

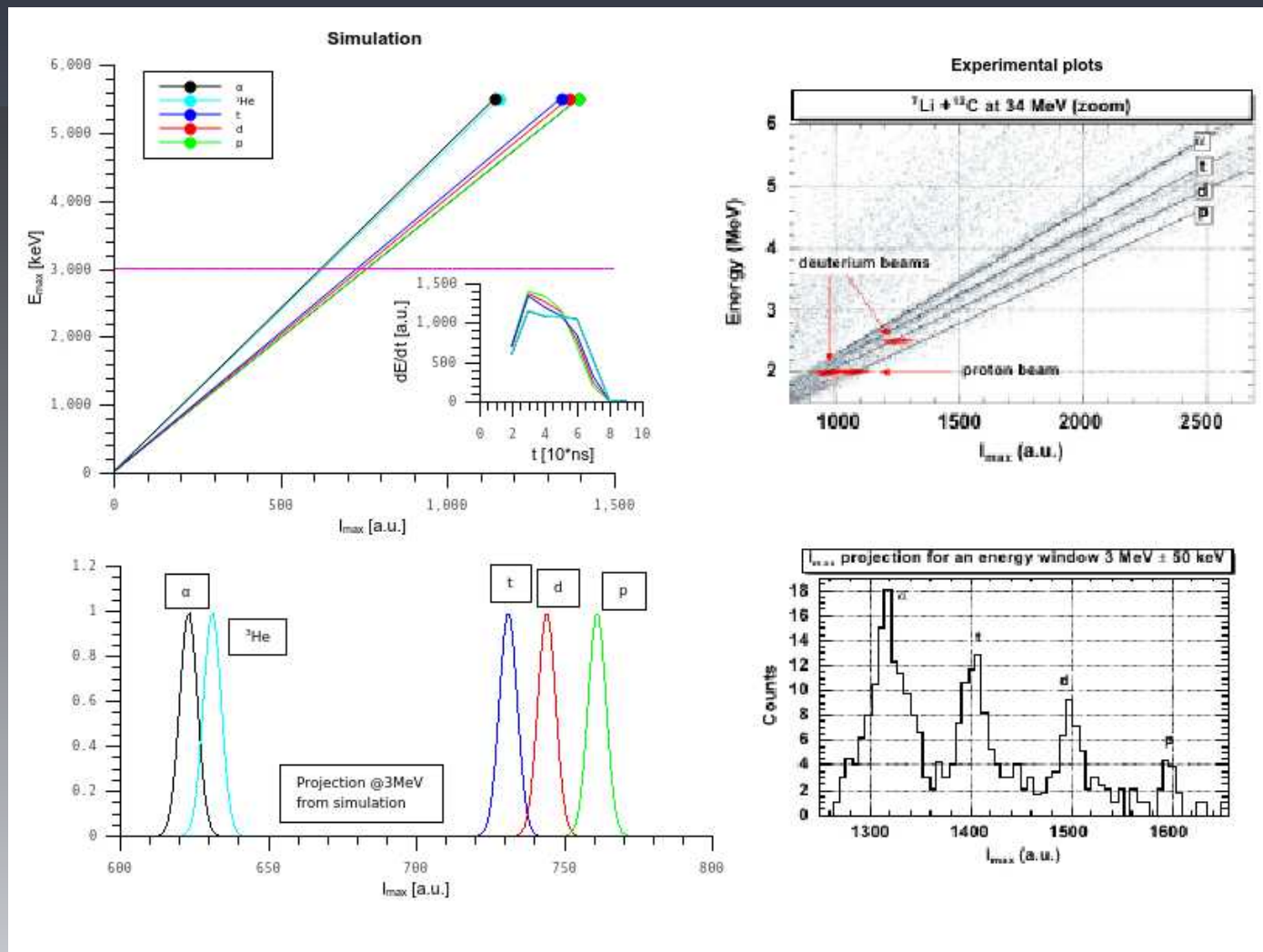
$$E_{max}$$

$$I_{max} = \max\left(\frac{dQ}{dt}\right) \rightarrow \propto \max\left(\frac{dE}{dt}\right)$$

For every particle we take the derivative of the net charge signal and plot its maximum against the corresponding energy

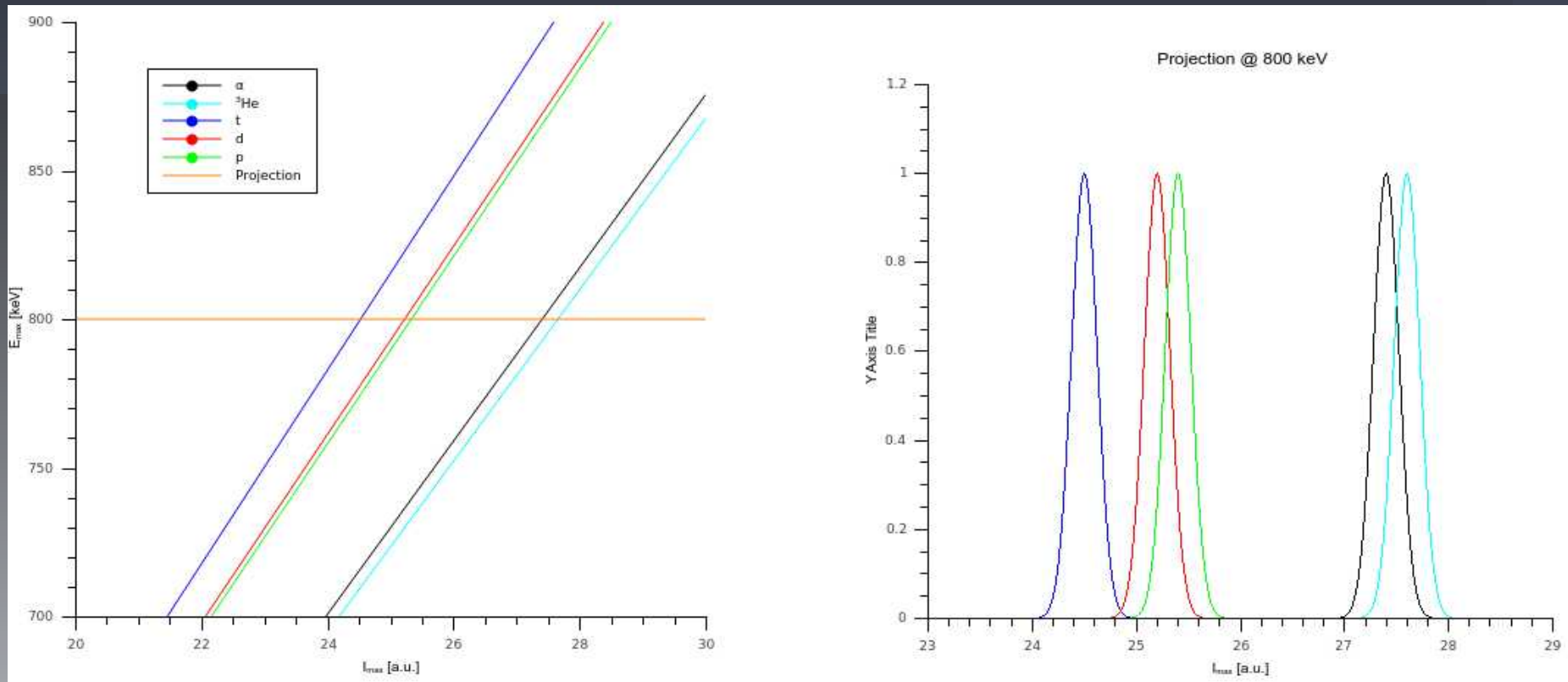
→ What happens for 1mm and 0.1 mm detectors?

1mm detector → the results can be compared to the study of particles produced in the reaction  ${}^7\text{Li}+{}^{12}\text{C}$  @ 34 MeV\*



\*J.A. Dueñas et al. Nuclear Instruments and Methods in Physics Research A 676 (2012) 70-73

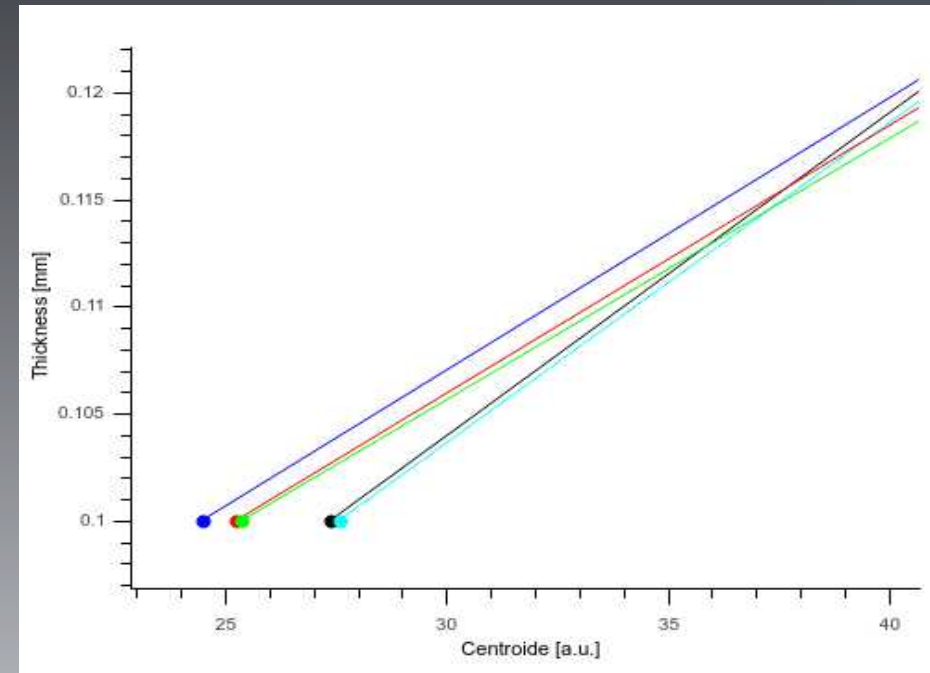
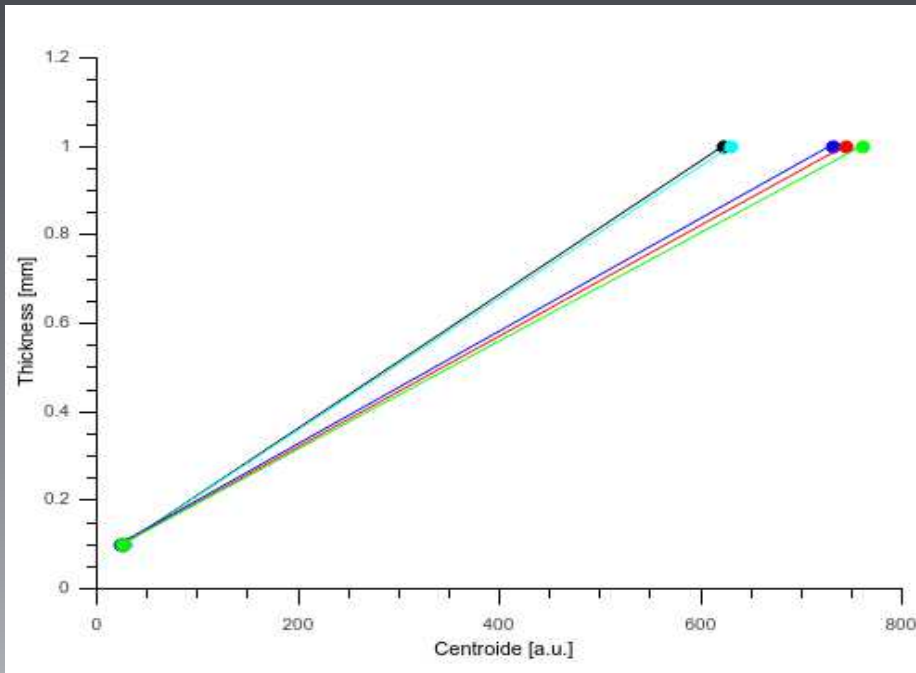
0.1mm detector → a characteristic pattern is found in the case of punch through!



→  $I_{max}$  for t,d,p is now lower than  $\alpha$  and  ${}^3\text{He}$

→ At low energy the peaks (particles) might not be fully resolved

Very light particles have long ranges and can pass through the detector without releasing their whole energy, this can compromise their identification!



→ How the projections' centroids vary with thickness, on the right the picture is zoomed to see the points corresponding to 0.1mm

# Conclusions and further developments

- ✓ Simulations successfully compared with experimental results
- ✓ ADL tools applicable to different geometries and materials
- ✓ Studying transients signals can improve spatial resolution, depending on experimental noise
- ✓ PSA efficiency: detector thickness, particle energy and type
- x Including diffusion and trapping for more realistic results
- x New simulations with commercial products