

*SuperB EW Physics Update:  
Is there a strong EW case for  
polarisation at the charm threshold?*

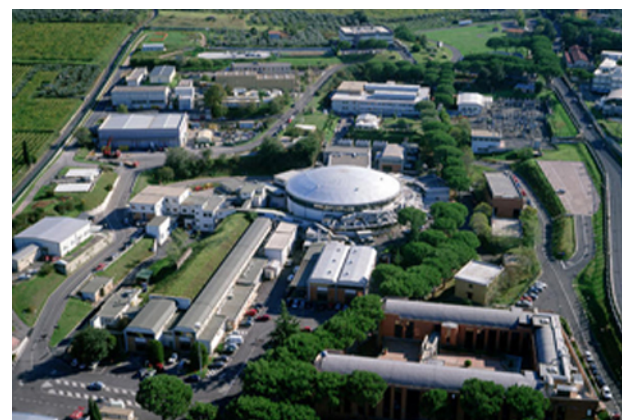
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**LNF**



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# Outline

- Very Quick reminder of the EW programme
- Address question:  
What do we learn in the EW program if we have polarized beams at charm threshold?

# EW programme reminders...

Polarised e- beam yields product of the neutral axial-vector coupling of the electron and vector coupling of the final-state fermion via Z- $\gamma$  interference:

$$A_{LR} = \frac{4}{\sqrt{2}} \left( \frac{G_F s}{4\pi\alpha Q_f} \right) g_A^e g_V^f \langle Pol \rangle$$

$$\langle Pol \rangle = 0.5 \left\{ \left( \frac{N_R^{e-} - N_L^{e-}}{N_R^{e-} + N_L^{e-}} \right)_R - \left( \frac{N_R^{e-} - N_L^{e-}}{N_R^{e-} + N_L^{e-}} \right)_L \right\}$$

$$g_A^e = T_3^e = 1/2 \qquad g_V^f = T_3^f - 2Q_f \sin^2 \theta_W$$

# EW programme ...

- $A_{LR}$  programme -> rich precision probe of the vector coupling of  $e, \mu, \tau, c, b$  all within the same experiment
- Absolute vector coupling gives measure of  $\sin^2\theta_W$  requires absolute polarisation and electron axial-vector coupling ( $g_A^e$ )
- Relative vector couplings are given by ratios of  $A_{LR}$  and can be expected to be statistics limited as polarisation and  $g_A^e$  cancel in the ratios

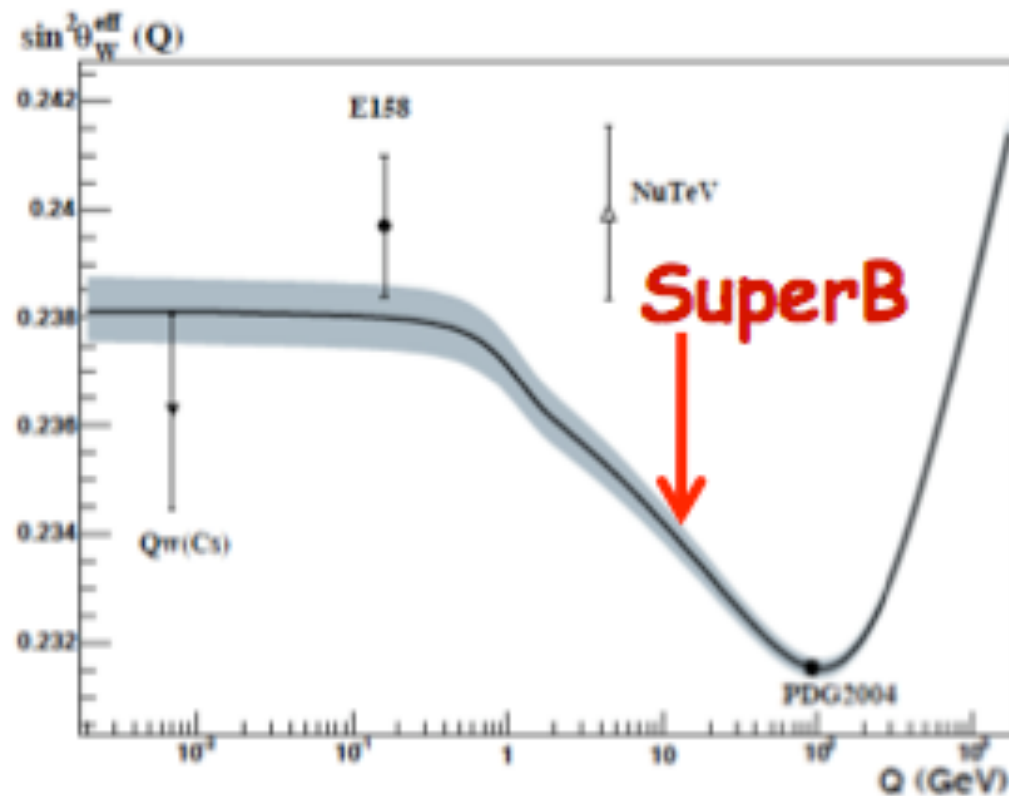
e.g.  $e^+e^- \rightarrow \mu^+\mu^-$  @  $\sqrt{s}=10.58\text{GeV}$

Diagrams	Cross Section (nb)	$A_{\text{FB}}$	$A_{\text{LR}}$ (Pol = 100%)
$ Z+\gamma ^2$	1.01	0.0028	-0.00051

$$\sigma_{\text{ALR}} = 6 \times 10^{-6} \rightarrow \sigma_{(\sin 2\theta_{\text{eff}})} = 0.0002$$

cf SLC  $A_{\text{LR}} \sigma_{(\sin 2\theta_{\text{eff}})} = 0.00026$   
relative stat. error of 1% (pol=80%)  
require  $< \sim 0.5\%$  systematic error on  
beam polarisation

$Q^2$  dependence of  $\sin^2\theta_W$ : SuperB will provide precisions at least as high as at Z-pole - but at much lower  $Q^2$



# Absolute vector couplings: $\sin^2\theta_W$

- Absolute vector coupling gives measure of  $\sin^2\theta_W$ : requires absolute polarisation and electron axial-vector coupling ( $g_A^e$ )
- Beam polarisation with Compton Polarimeter and tau-polarisation FB asymmetry to  $\sim 0.5\%$  (see Sept 2011 presentation)
- $g_A^e$ : can either assume SM  $\frac{1}{2}$ ; use LEP measurement and assume it is the same at 10.58 GeV; or can check it with  $A_{FB}^{\mu} \sim g_A^e g_A^{\mu}$  assuming Lept. Univ. (In principle  $A_{FB}^{e} \sim g_A^e g_A^e$  gives this w/o assuming Lept. Univ. but  $A_{FB}^e$  dominated by QED)

## ZFitter vs simple tree $A_{LR}$

With mass measurements of Z and top, Higgs we have SM values for the vector couplings and rigorous predictions of the vector couplings:

at 10.58GeV	Zfitter	Zfitter (Weak Rad Corr off)	Simple Analytic no Rad Cor
muon	-0.00050	-0.00086	-0.00077
charm	-0.00478	-0.0052	-0.00547
beauty	-0.01936	-0.0200	-0.0194



# Relative vector couplings

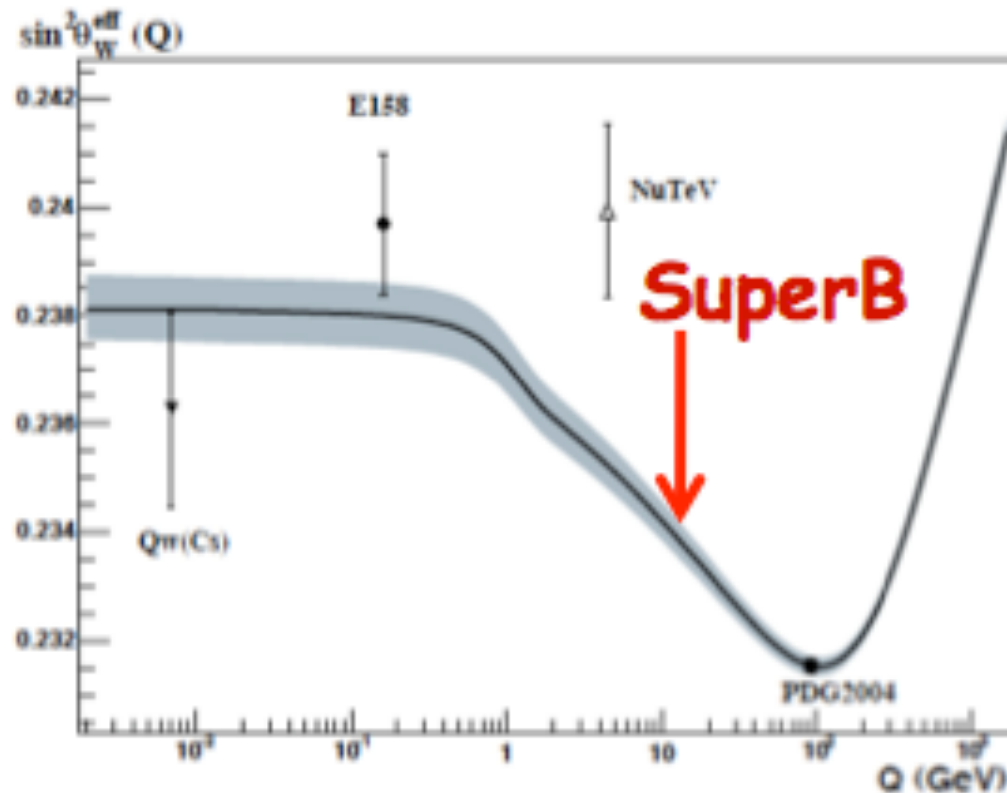
take ratios of  $\mu, \tau, c, b$   $A_{LR}$  so that of the electron cancels polarisation systematic errors and the electron axial-vector coupling: **stat. error dominated**

	SM ( $M_h=125\text{GeV}$ )	LEP/SLD	SuperB error
$g_V^\mu / g_V^\tau$	1	0.997 +/- 0.068	~2% from tau stats
$g_V^c / g_V^{\text{lepton}}$	5.223 +/-	-4.991 +/- 0.074	~1% muon stats +/-0.05
$g_V^b / g_V^{\text{lepton}}$	9.357 +/-	8.58 +/- 0.16	~1% from mu stats +/- 0.08

# How do we get high precision?

- High statistics
  - the 75/ab is needed to give precision with mu-pairs
- Polarization:  $A_{LR}$  insensitive to detector systematic errors
  - Systematic errors dominated by polarization error
  - Using tau polarization FB asymmetry to get polarization error: 3.6  $ab^{-1}$  is need to get to 0.005 relative error on beam polarization if only pion decays used – beyond that systematic errors come in

Running at charm threshold would give information near NuTeV  $Q^2$



# Relative vector couplings

But running at lower energies is possible, but suffers from loss in statistics: if  $1/ab$  of data is collected there, errors will be many times larger and not at all competitive with measurements at the 4S or Z

Question: how much value is there in a low precision measurement at slightly lower  $Q^2$  cf that at 4S or Z?

Does it justify additional cost and complications of having polarisation there?

# Summary

- We have a very rich EW programme at 4S that gives unprecedented precision measurements of the vector coupling via  $A_{LR}$  –for mu, tau, charm and b fermions – the best place for b's
- EW case for running with polarization at charm threshold comes down to:
  - how much value is there in a low precision measurement at slightly lower  $Q^2$  cf that at 4S or Z?