



Radiative energy loss in a hot QCD medium: from RHIC to LHC

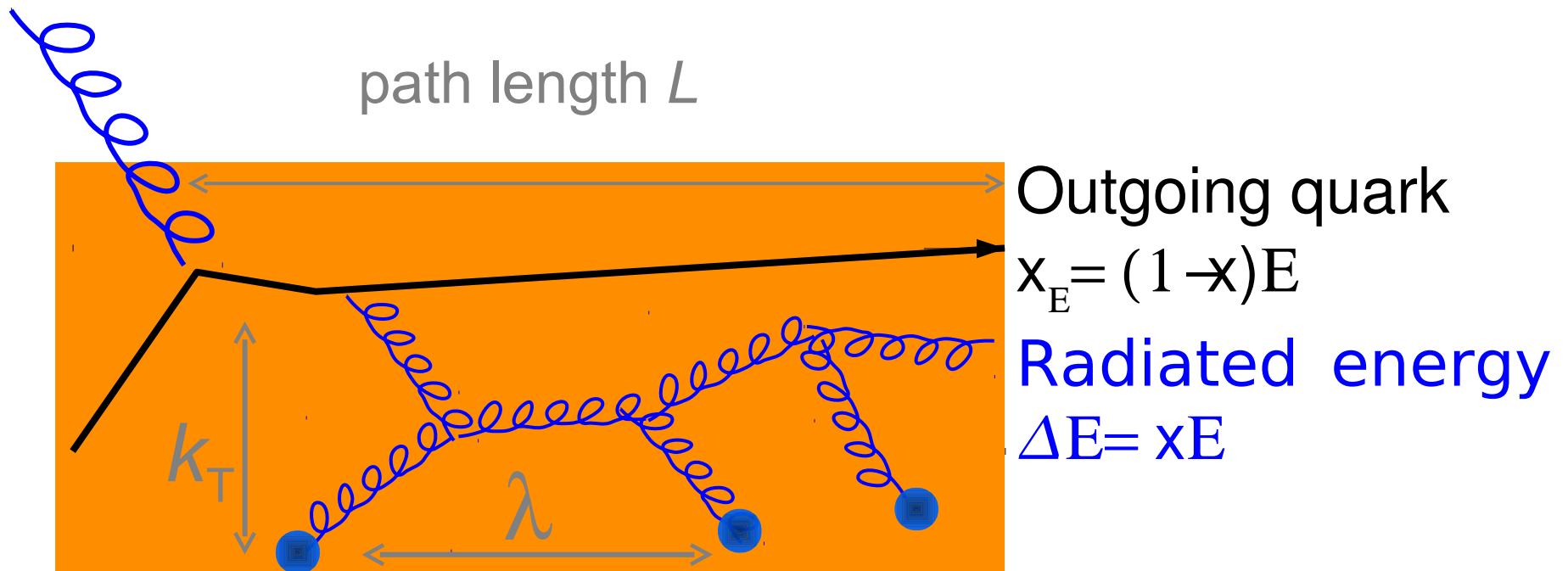
Marta Verweij
Utrecht University
ALICE mini meeting @ Frascati

Introduction / Outlook

- Energy loss due to gluon bremsstrahlung in a hot dense medium.
- What can we learn from measuring R_{AA} & comparison to models?
- Formalisms give a different estimation of medium properties when fitting to RHIC R_{AA} data (factor ~ 5 difference in density).
- Estimates for LHC energies.

- In this talk:
Apple-to-apple comparison of:
 - Multiple soft scattering approximation (ASW-MS, BDMPS-Z, ...)
Phys.Rev.D68 014008
 - Opacity Expansions (ASW-SH and DGLV/WHDG rad N=1)
Phys.Rev.D68 014008, Nucl.Phys.A784 426

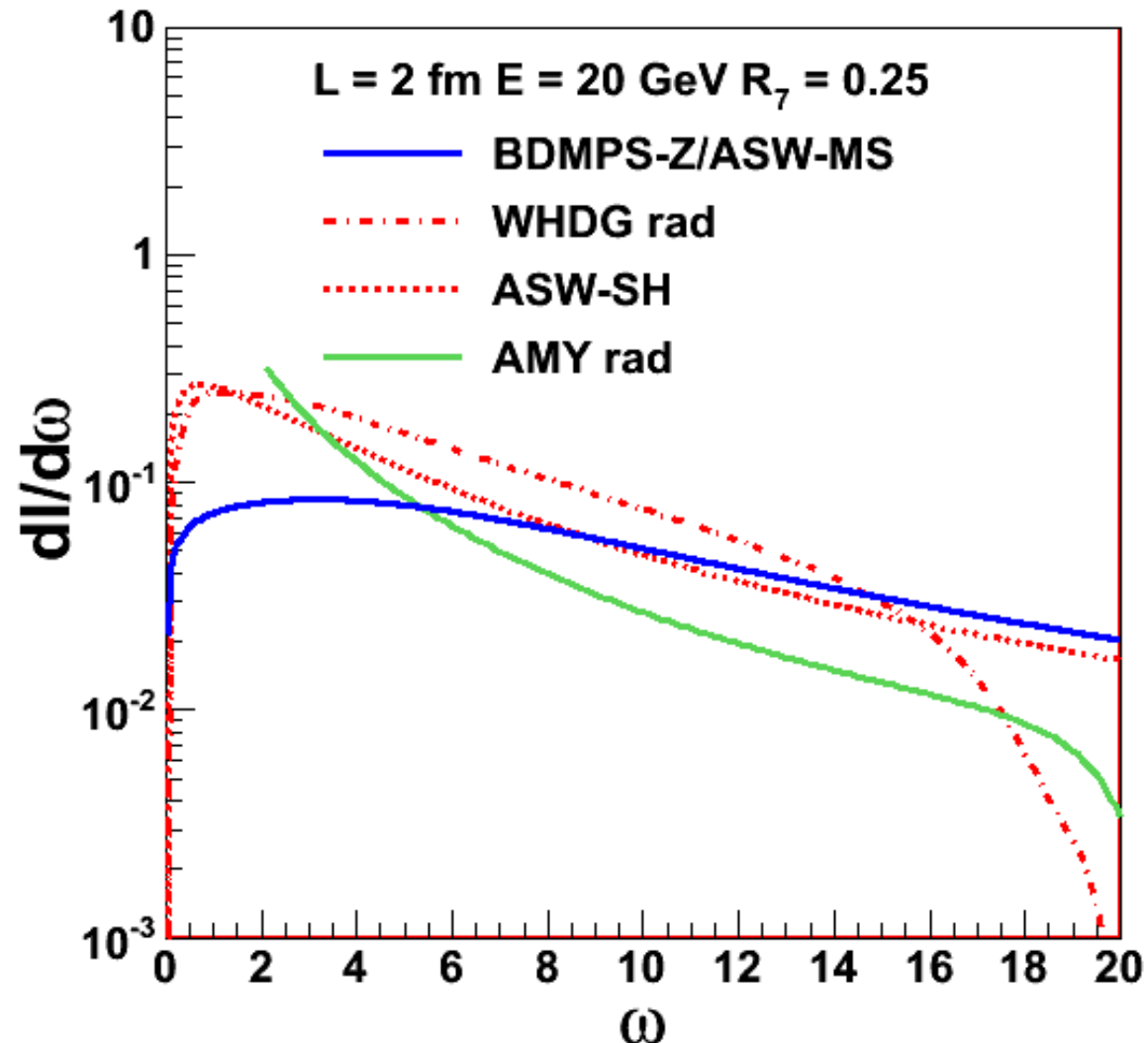
Schematic picture of energy loss mechanism in hot dense matter



Gluon radiation

- Parton loses energy due to gluon radiation
 - Also in vacuum
 - More in medium
- Gluon spectrum is model dependent
- Results in a different jet structure

Gluon radiation spectrum for different energy loss models



Energy loss probability

- $P(\Delta E)$ is generated by a Poisson convolution of the single gluon radiation spectrum:

$$P(\Delta E) = p_0 \delta(\Delta E) + p(\Delta E)$$

- 3 distinct contributions:
 - p_0 = discrete weight = probability to not lose any energy = $e^{-\langle N_{\text{gluons}} \rangle}$
 - $p(\Delta E)$ = continuous energy loss = parton loses ΔE
 - If $\Delta E > E$ parton is absorbed by the medium

Energy loss probability

$$P(\Delta E) = p_0 \delta(\Delta E) + p(\Delta E)$$

- This results in a outgoing quark spectrum:

- $x_E = 1 - \Delta E/E$
- $x_E = 0$: Absorbed quarks
- $x_E = 1$: No energy loss

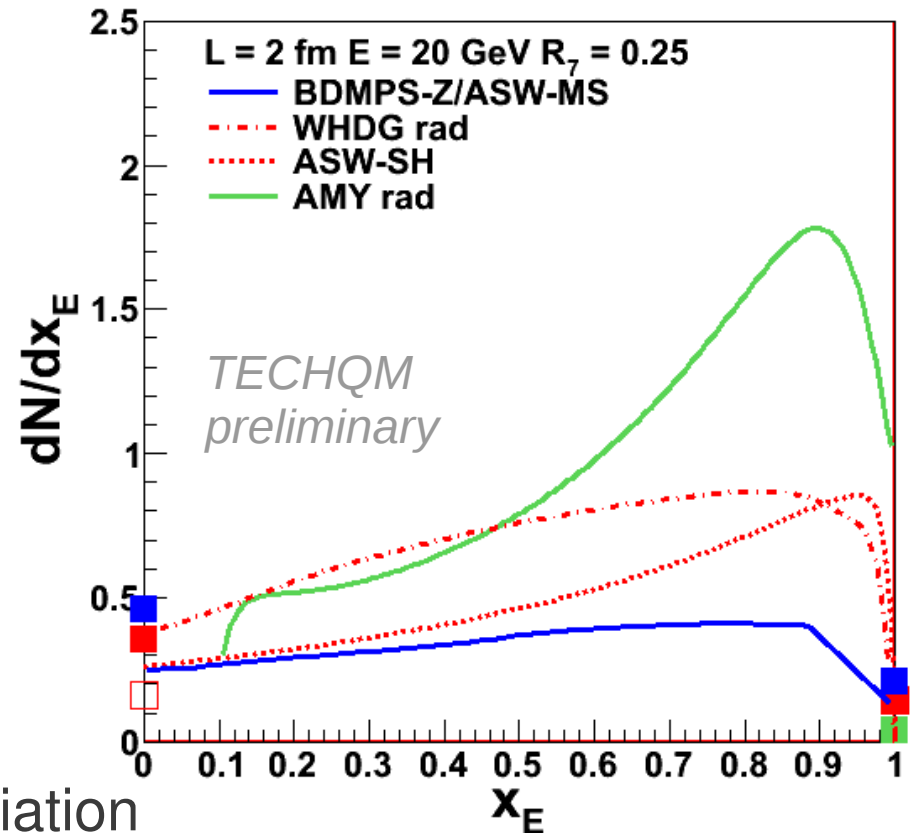
- Suppression factor R_7

dominated by:

- ASW-MS: absorption of partons in the medium
- OE'S: absorption and soft gluon radiation

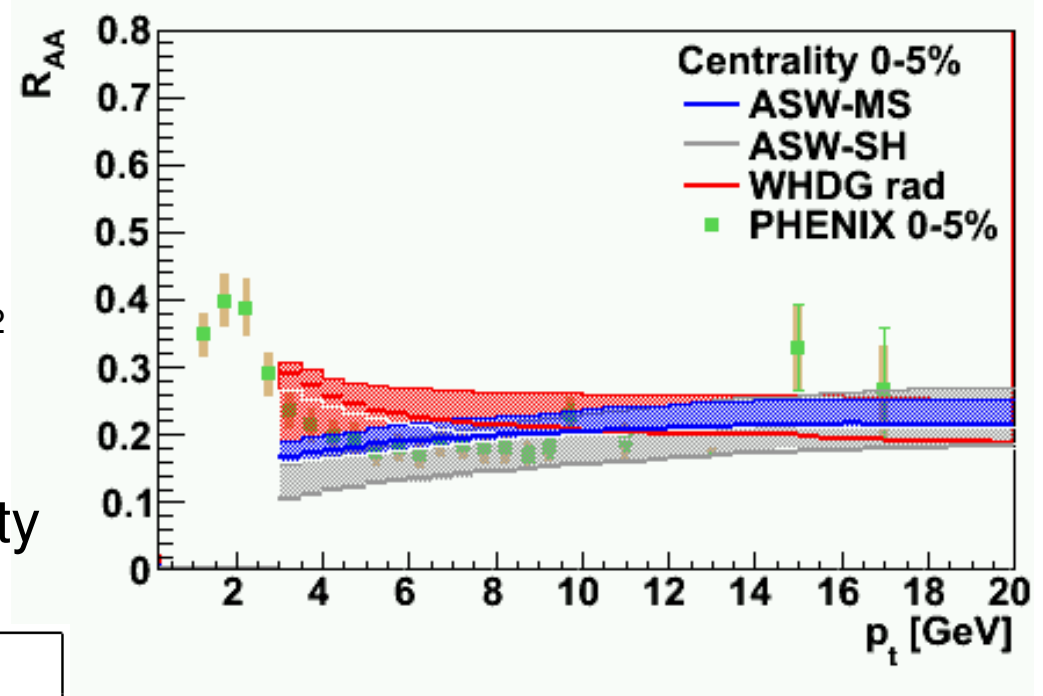
- Continuous part of energy loss distribution more relevant for OE's.

- **Can we measure this?**



R_{AA} at RHIC

- Common input parameter for all models: Temperature
- All models can be fitted to R_{AA} .
- Best fit is estimated by modified χ^2 analysis.
- Each best fit is has a 1σ uncertainty band (shaded area).



**Factor 4-5 difference
in density estimation
between multiple soft
scattering
approximation and
opacity expansions.**

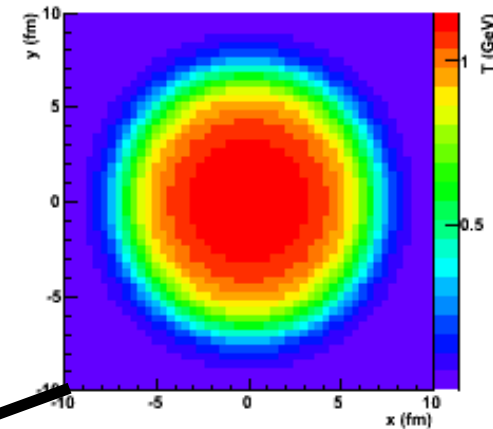
	If $\tau < \tau_0$ $\hat{q} = \hat{q}_0$	
	\hat{q}_0 (GeV/fm ²)	T_0 (MeV)
ASW-MS	$20.3^{+0.6}_{-5.1}$	973^{+6}_{-90}
WHDG rad	$5.7^{+0.3}_{-1.9}$	638^{+11}_{-81}
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PHENIX data: *Phys. Rev. C*77, 064907 (2008)

Geometry of HI collision

- Woods-Saxon profile
- Wounded Nucleon Scaling with optical Glauber
- Medium formation time: $\tau_0 = 0.6$ fm
- Longitudinal Bjorken Expansion $1/\tau$
- Freeze out temperature: 150 MeV

Temperature profile of central collision

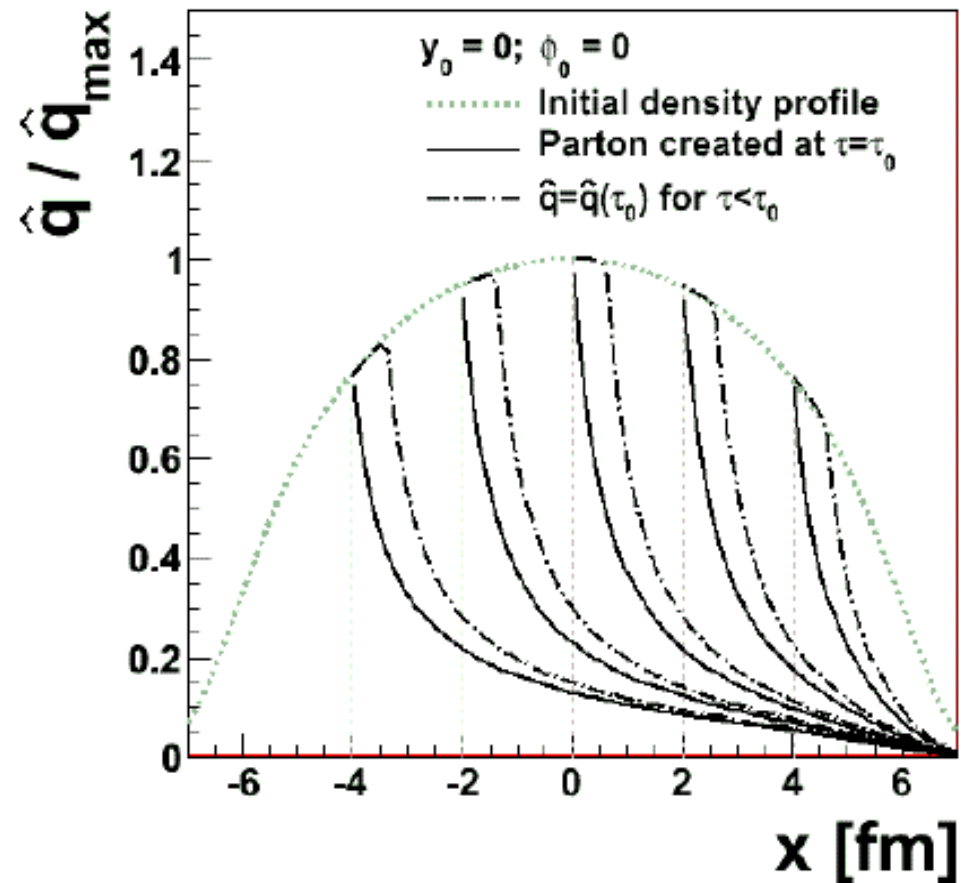
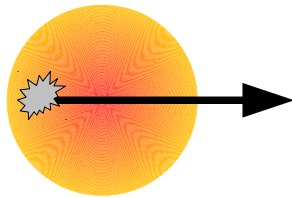


$$\frac{dN}{dp_{t,hadr}} = \frac{dN}{dp_{t,parton}} \circ P(\Delta E) \circ D(p_{t,hadr} / p_{t,parton})$$

Measurement	<p>$\frac{dN}{dp_{t,parton}}$ Input parton spectrum Known LO pQCD</p>	<p>$P(\Delta E)$ Energy loss geometry medium</p>	<p>$D(p_{t,hadr} / p_{t,parton})$ Fragmentation Function Known from e+e-</p>
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Medium density profile

- Parton travels through evolving medium
- Parton sees different medium at each step in space and time
- Density of medium decreases as function of space and time



Local \hat{q} as function of space-time coordinate x for different starting points

Model input parameters

- Multiple soft scattering approximation (ASW-MS):

$$N_{gluon} = \int d\omega \frac{dI}{d\omega}(\omega_c, R) = \int d\omega \frac{dI}{d\omega}(\hat{q}, L)$$

“Medium density”

- Opacity expansion (GLV, etc.):

$$N_{gluon} = \frac{L}{\lambda} \int d\omega \frac{dI}{d\omega}(\mu, L)$$

#scattering centers

Debye screening mass

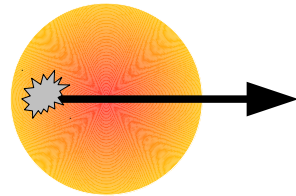
- No \hat{q} for opacity expansions.

$$\hat{q} = \frac{\langle q_{\perp}^2 \rangle}{\lambda} \sim \frac{\mu^2}{\lambda}$$

- How to determine input parameters in an evolving medium?**

Medium as seen by parton

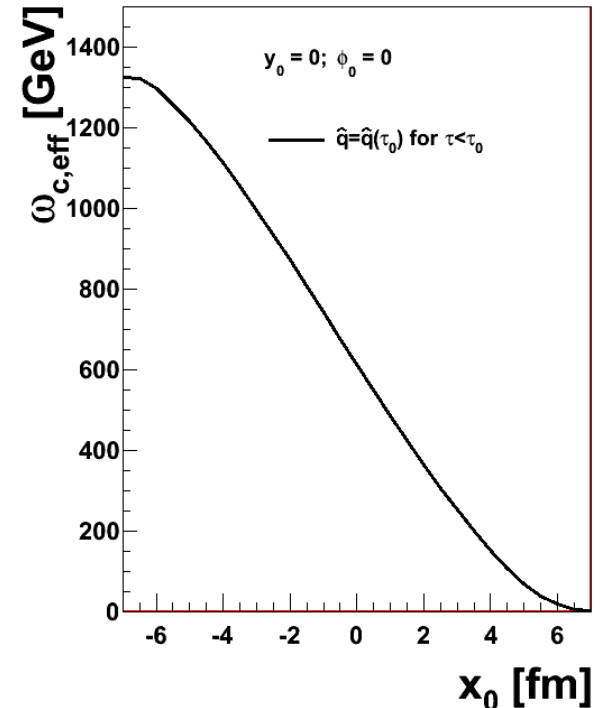
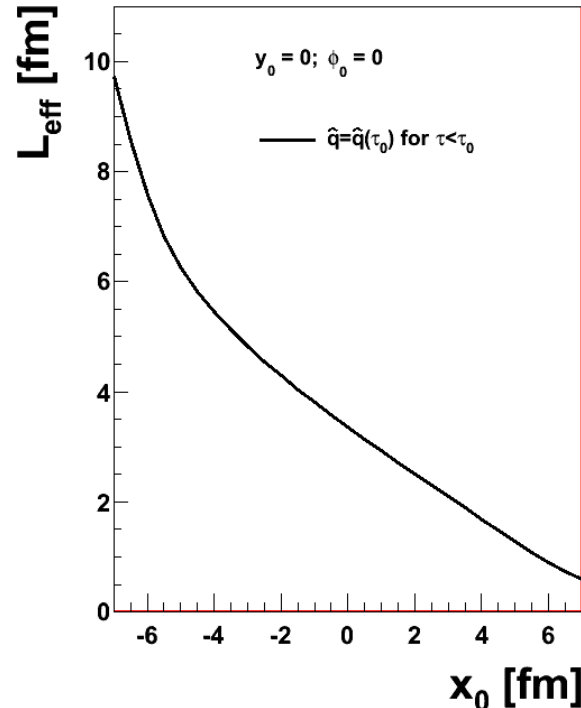
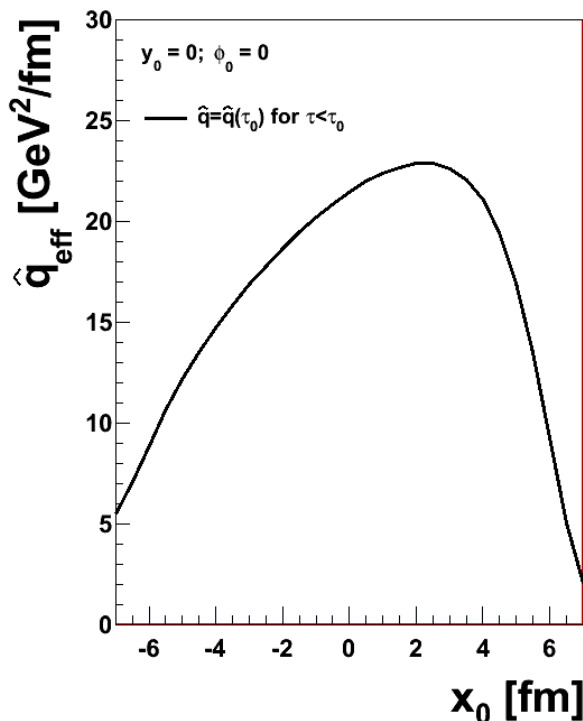
- Path average variables which characterize the energy loss.



$$\langle \Delta E \rangle \propto \hat{q} L^2 \propto \omega_c$$

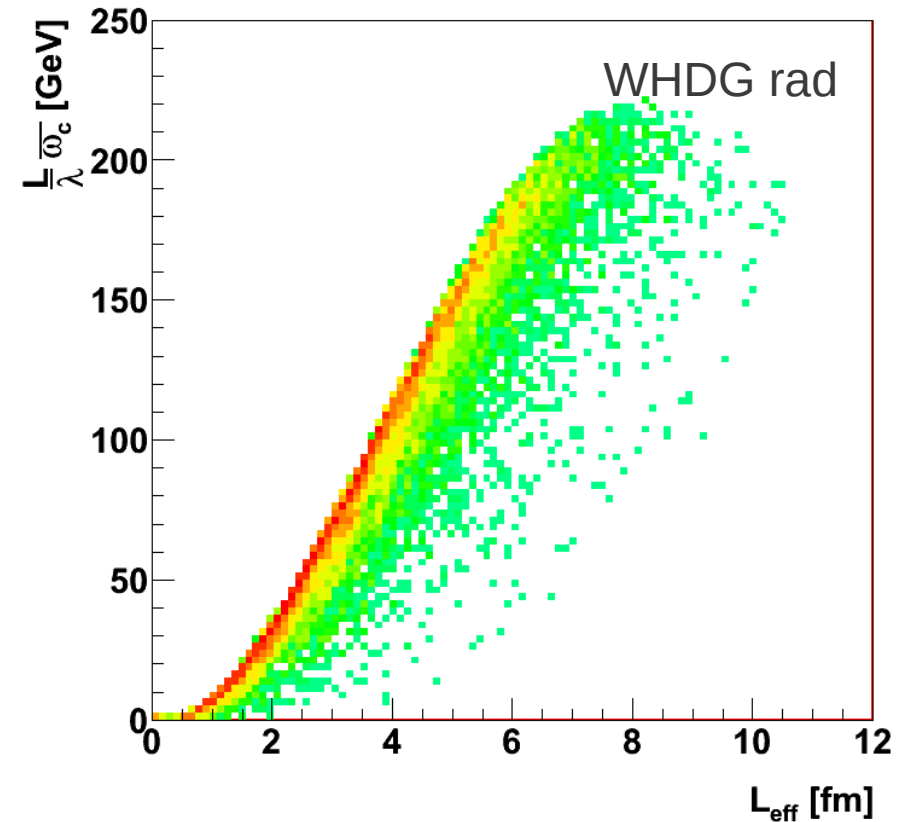
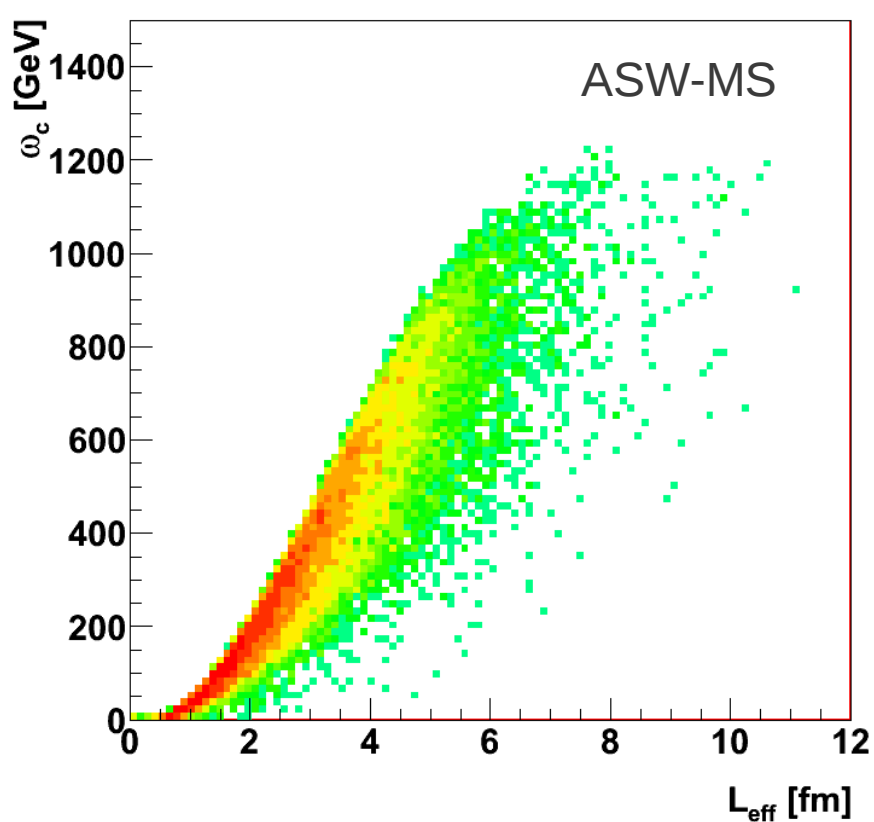
- Exercise:

- Parton is created at x_0 and travels radially through the center of the medium until it leaves the medium or freeze out has taken place.



Medium as seen by parton

- Now: Partons in all directions from all positions
- Medium characterized by typical gluon energy ω_c and path length L

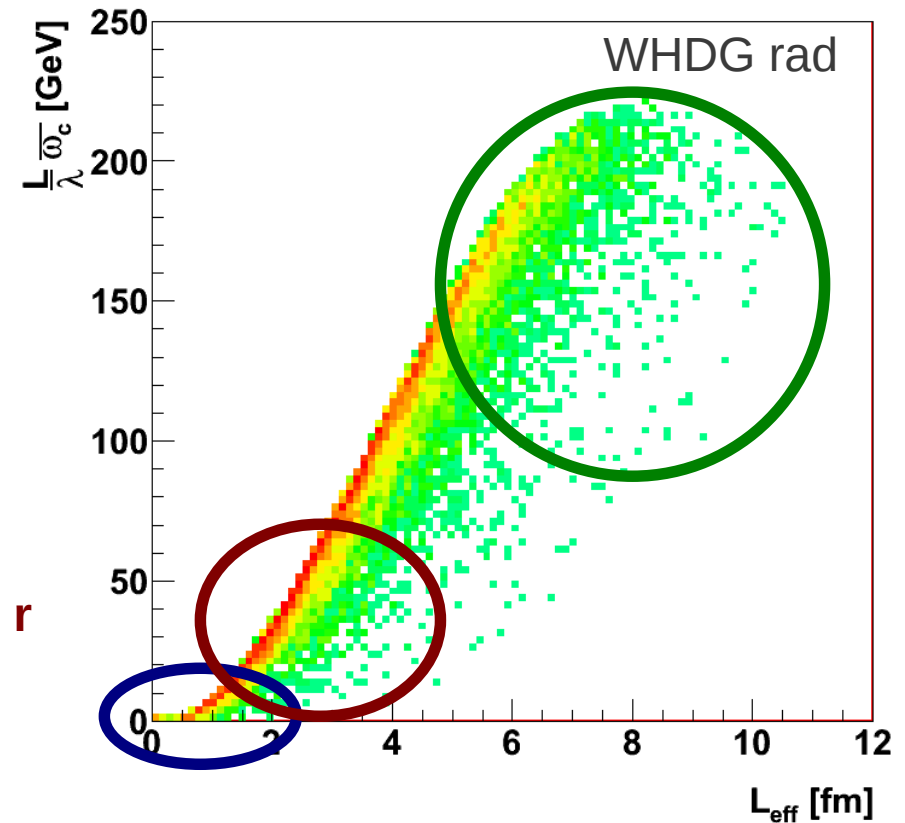
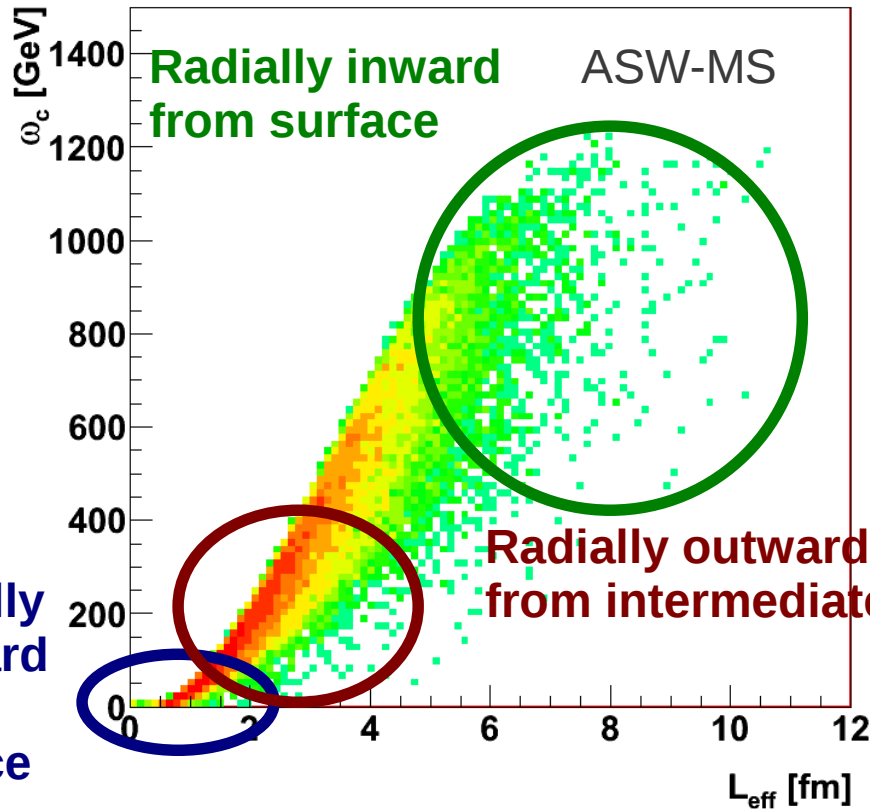


Different treatment of large angle radiation cut-off: $q_{\text{perp}} < E$

Medium as seen by parton

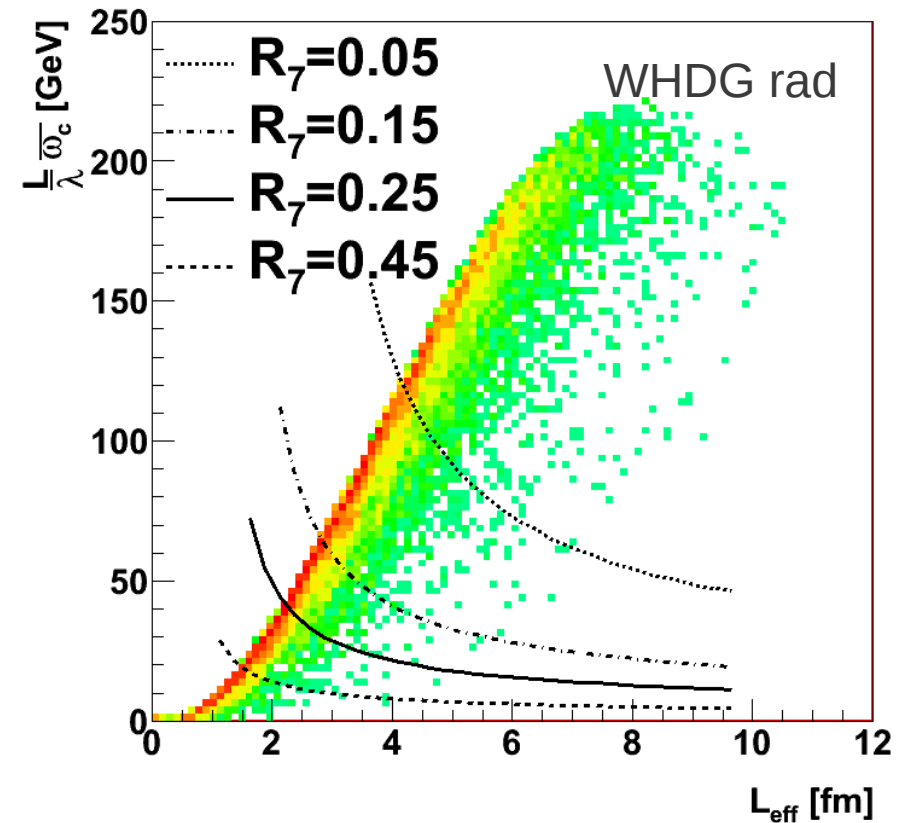
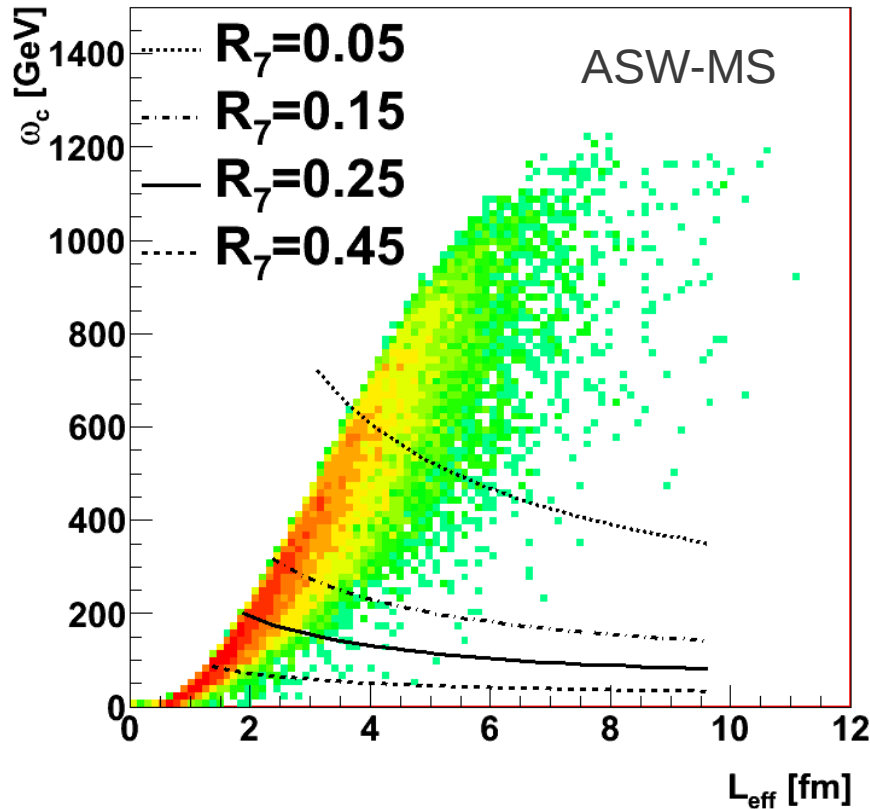
- Medium characterized by typical gluon energy ω_c and path length L

$$\langle \Delta E \rangle \propto \hat{q} L^2 \propto \omega_c$$



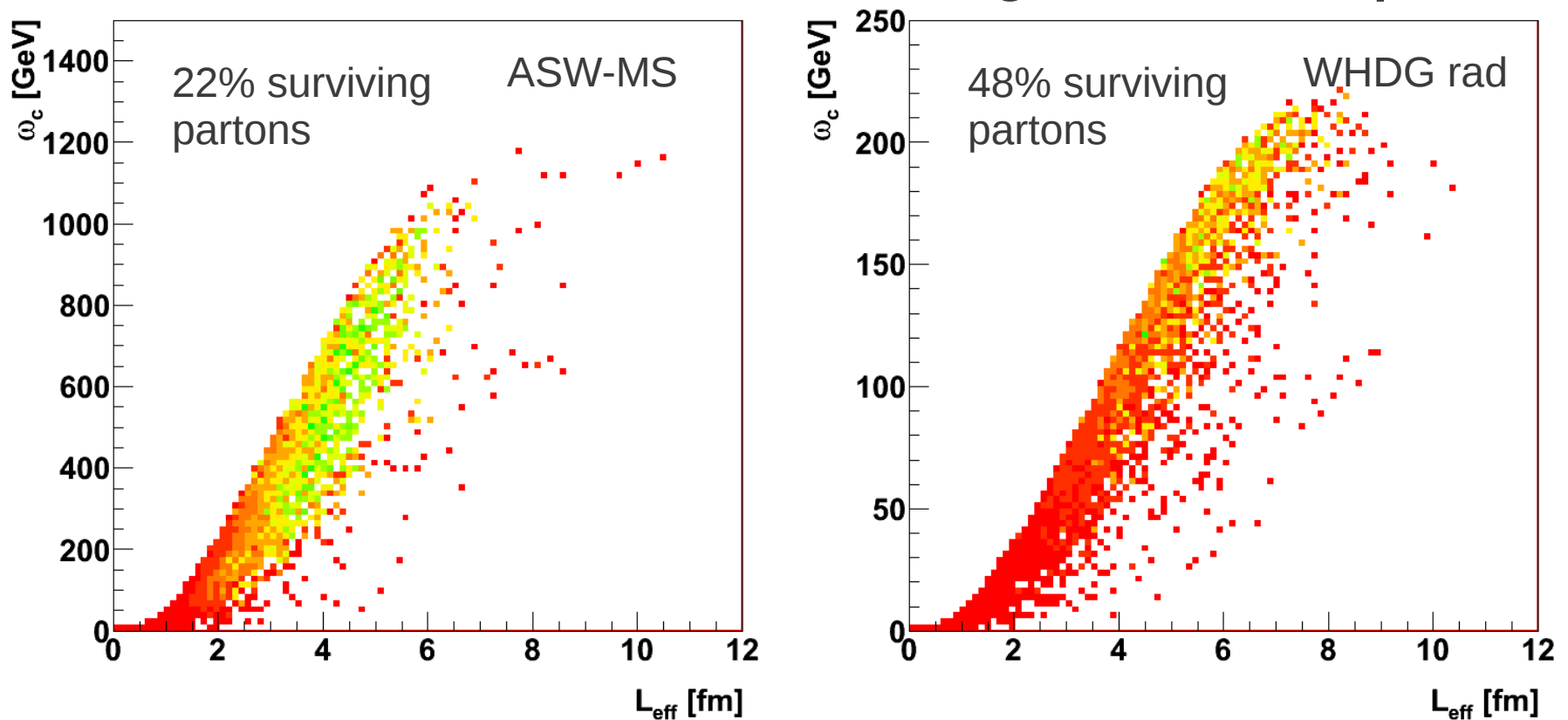
Medium as seen by parton

- Brick isolines for different values of typical suppression R_7
- R_{AA} is a superposition of a range of typical suppressions.



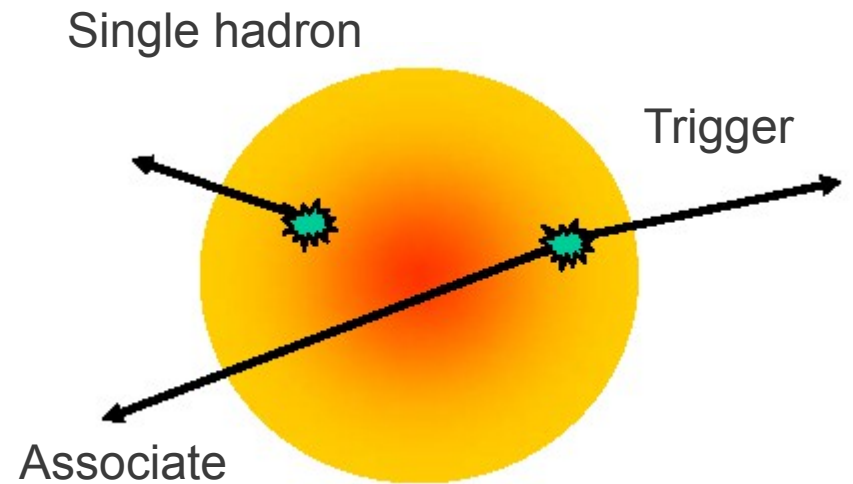
Surviving partons

- WHDG probes deeper into medium.
- WHDG more surviving partons \rightarrow more fractional energy loss.
- **Measure back-to-back hadrons could give a different picture.**



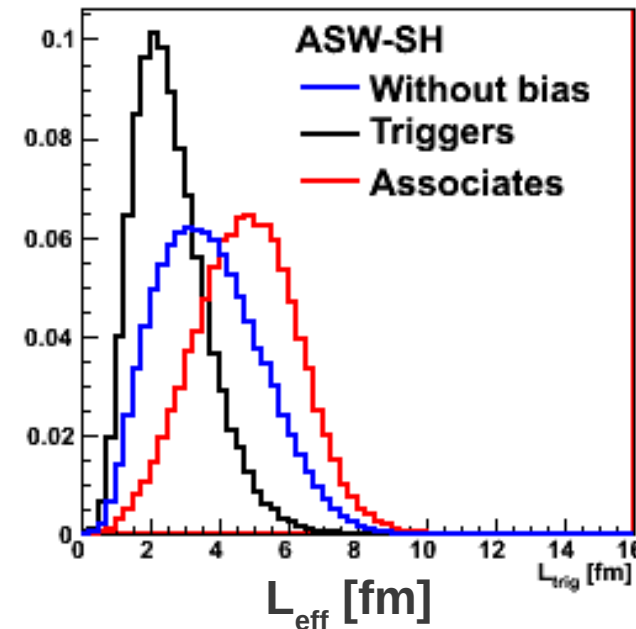
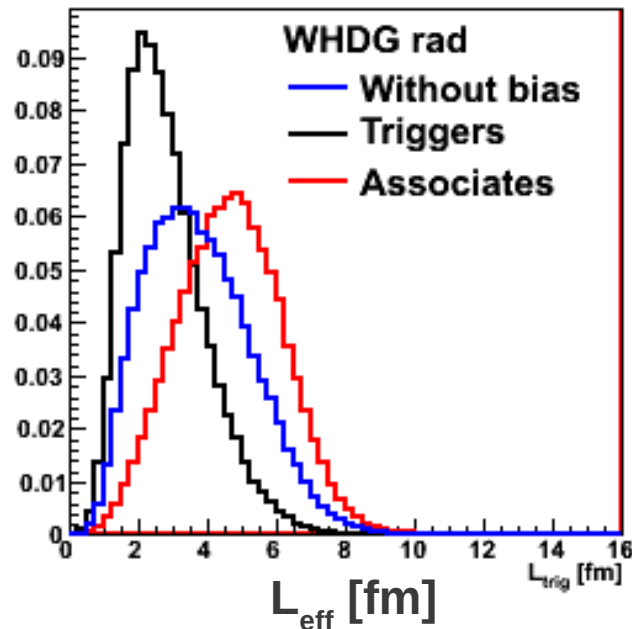
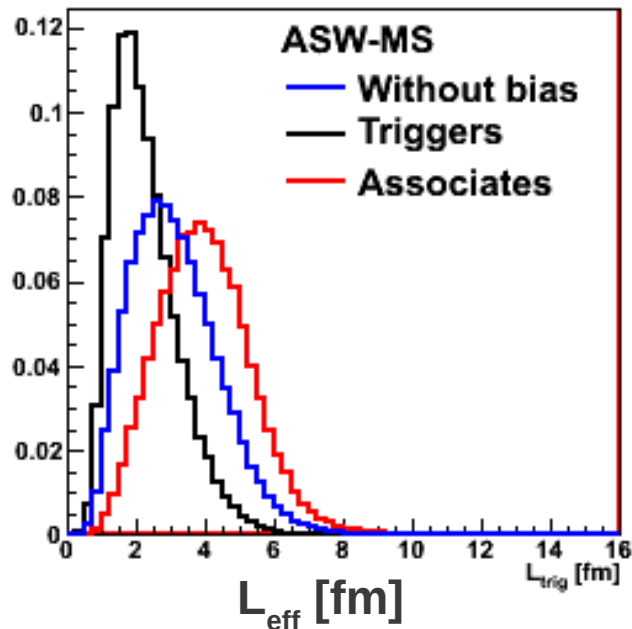
Why measure I_{AA} ?

- Trigger to larger parton p_t
- Bias associated particle towards longer path length
- Probe different part of medium
- **Probe different energy loss probability distribution**



L_{trig} VS L_{assoc}

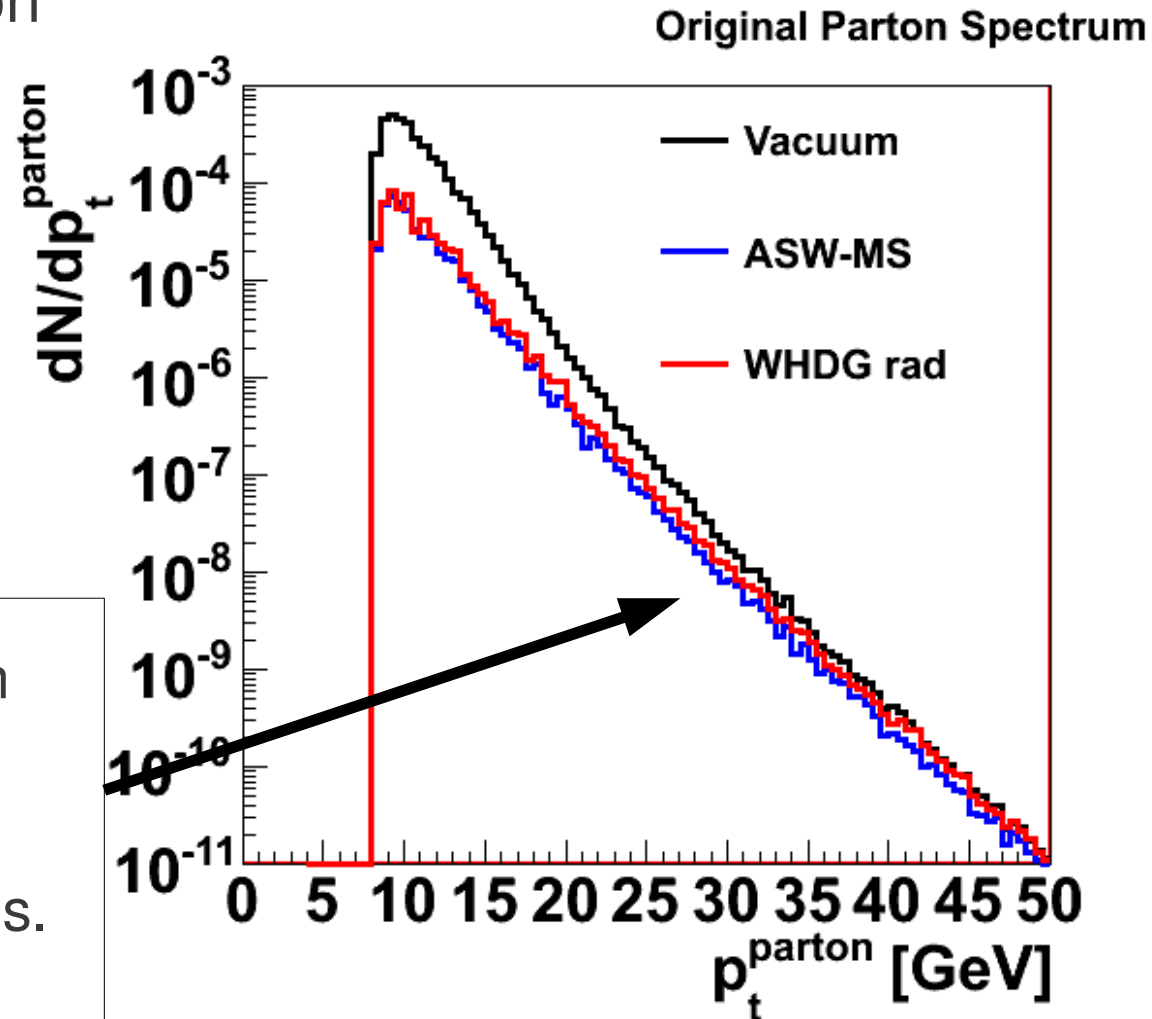
- For R_{AA} and I_{AA} different mean path length.
- $P_t \text{ Trigger} > P_t \text{ Assoc}$
- **Triggers** bias towards smaller L
- **Associates** bias towards longer L



R_{AA} vs I_{AA}

- What is the difference between R_{AA} and I_{AA} ?
- Different part of the parton spectrum is probed.

Original parton spectra resulting in hadrons with $8 < p_t^{\text{hadron}} < 15$ GeV for without (vacuum) and with (ASW-MS/WHDG) energy loss.

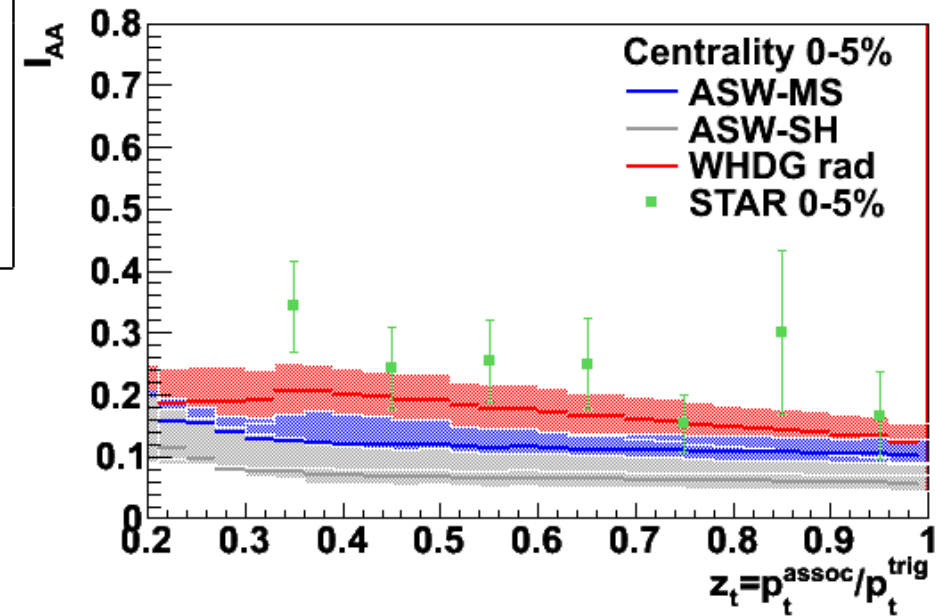
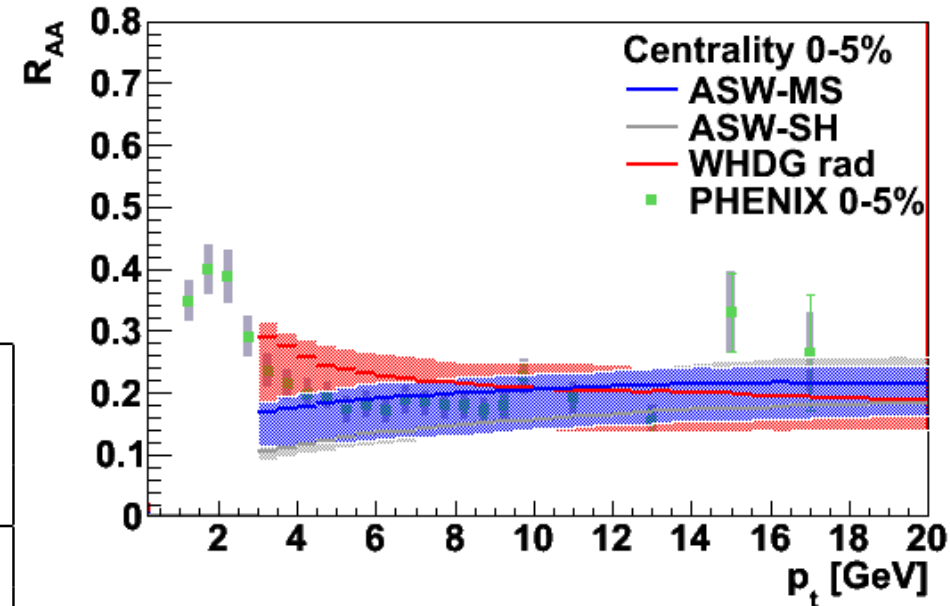


R_{AA} and I_{AA} at RHIC

- All models can always be fitted to R_{AA} .

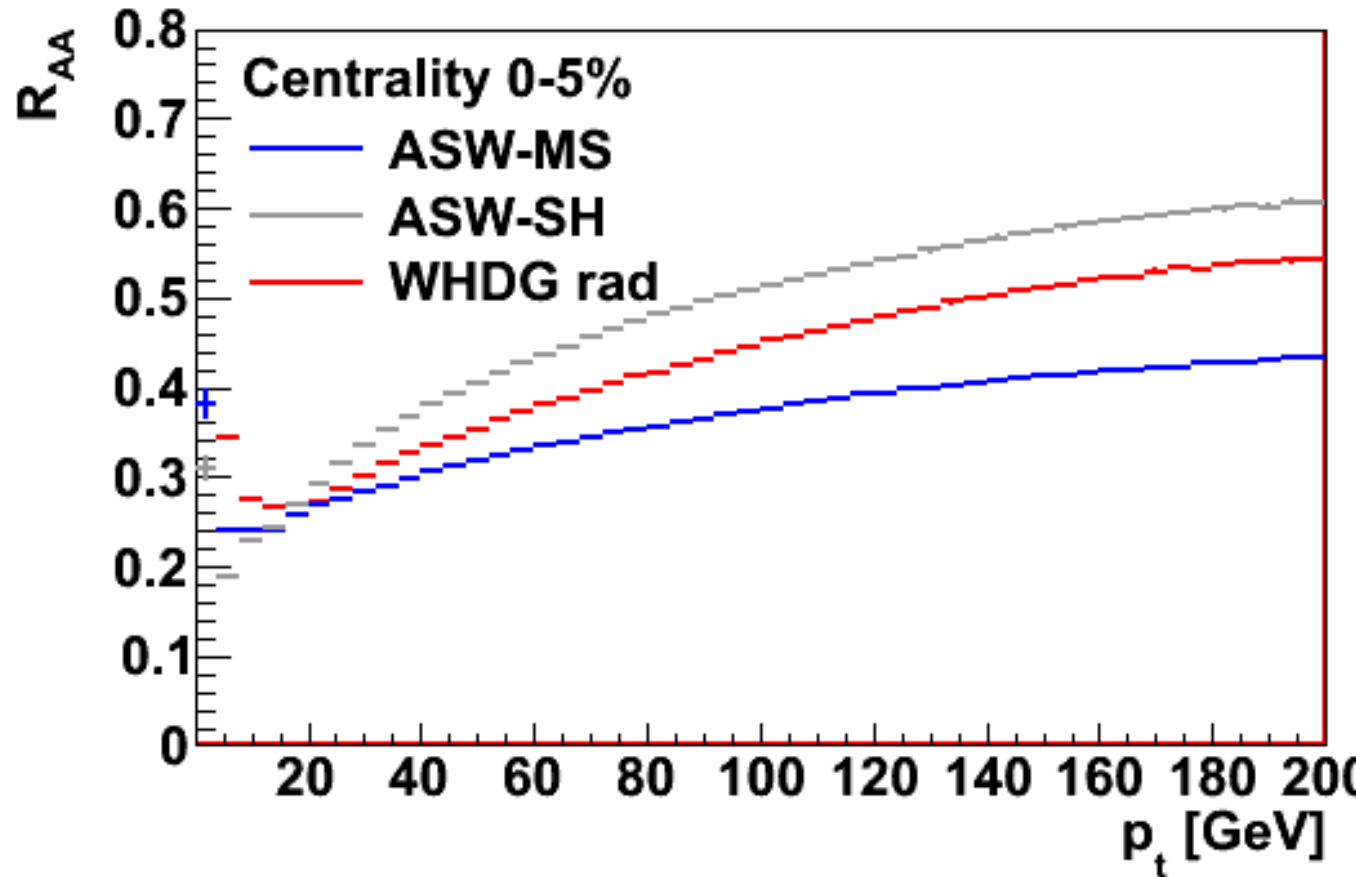
RHIC best fits	If $\tau < \tau_0$ $\hat{q} = \hat{q}_0$	
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- Calibrate density using R_{AA} measurement, most models underestimate I_{AA} .

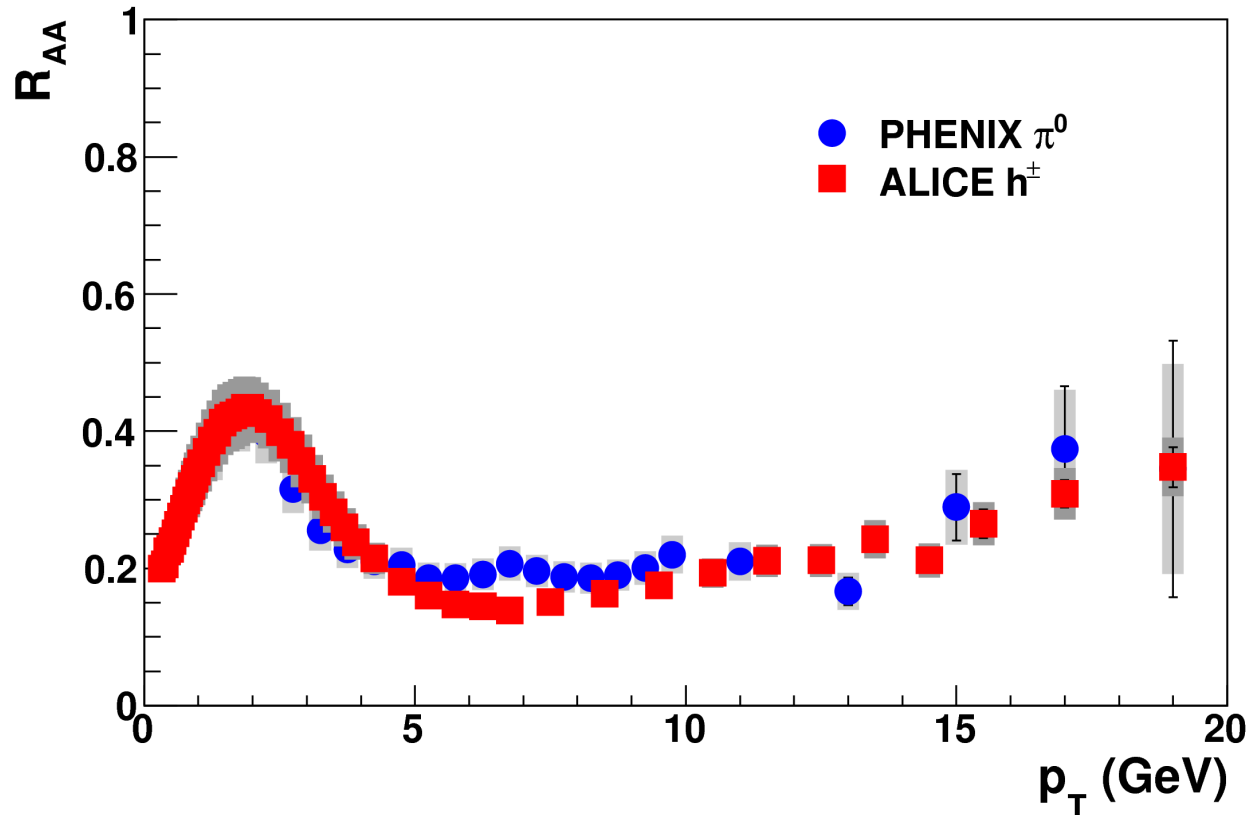


R_{AA} at LHC

- Assuming same medium density as at RHIC.
- Parton p_t spectrum for LHC flatter than at RHIC.
- Higher parton momenta than at RHIC.
- Different model dependence on p_t for R_{AA}



R_{AA} at ALICE

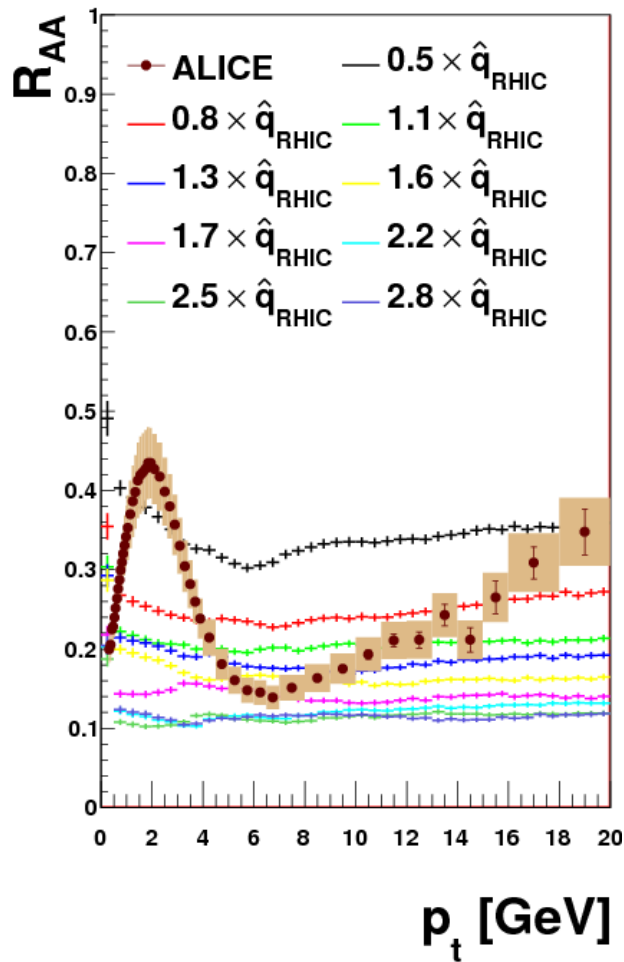


Plot compilation:
M. van Leeuwen

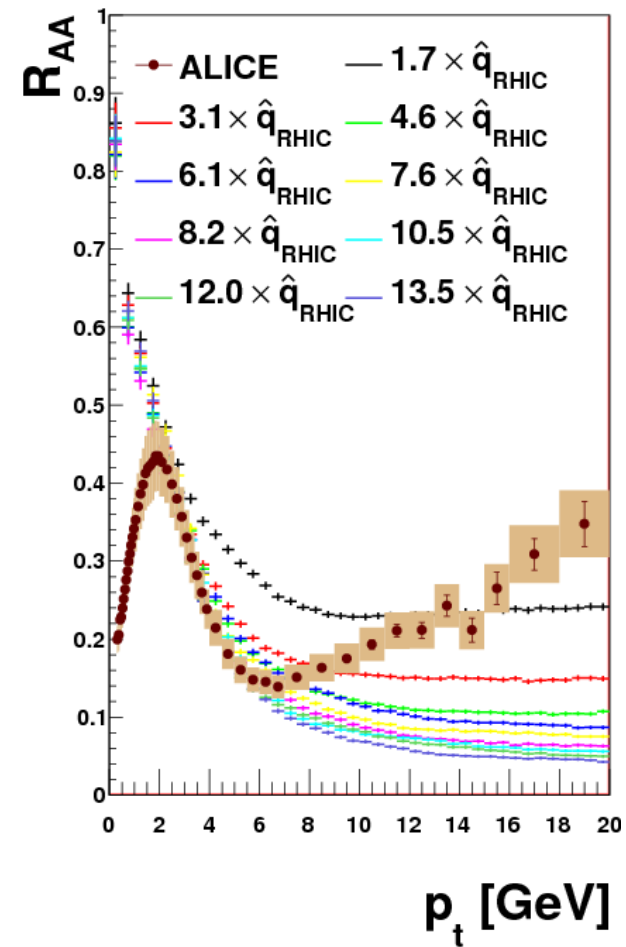
- R_{AA} PHENIX π^0 and ALICE h^\pm not so different...

Models + ALICE R_{AA}

- Models *tuned* to PHENIX π^0 R_{AA} do not describe data very well.
- Roughly: 2-3 times larger q_{hat} at LHC than at RHIC



Multiple soft scattering approximation



Opacity expansion

Summary

- Different energy loss models give different results in a brick and fitting to RHIC data.
- Opacity expansion probes deeper into the medium – different *surface bias*.
- $P(\Delta E)$ not trivial to recover from indirect measurement.
- If density of the medium is not too large, clear p_T dependence of radiative energy loss for LHC.
 - Done, steeper rise of R_{AA} with p_T than expected.