



# Electroweak and Top physics at ATLAS



**RIKARD SANDSTRÖM, NIKHEF** 

on behalf of

THE ATLAS COLLABORATION

INTRODUCTION LHC & ATLAS

### **ELECTROWEAK RESULTS**

W/Z observation & cross section W asymmetry W+jets **TOP CROSS SECTION** 

Single lepton channel Di-lepton channel Combining all 5 subchannels

### **SUMMARY**

R. Sandström

LaThuile workshop

# The ATLAS detector



### R. Sandström

2



LHC collision data 2010



LHC collision data 2010



LHC collision data 2010



LHC collision data 2010



6

### LaThuile workshop



R. Sandström

LaThuile workshop



• With ~300 nb<sup>-1</sup> we observed the first 1000  $W \rightarrow e_V$  and  $W \rightarrow \mu_V$ .

• A clear signal over very small background in both electron and muon channel!

```
R. Sandström
```



 $\sigma_W^{\text{tot}} \cdot \text{BR}(W \rightarrow \ell v) = 9.96 \pm 0.23(\text{stat}) \pm 0.50(\text{syst}) \pm 1.10(\text{lumi}) \text{ nb}.$ 

 $\sigma^{\text{tot}}_{Z/\gamma^*} \cdot \text{BR}(Z/\gamma^* \to \ell\ell) = 0.82 \pm 0.06(\text{stat}) \pm 0.05(\text{syst}) \pm 0.09(\text{lumi}) \text{ nb}$ 

• LHC & ATLAS continue the tradition of electroweak boson measurements and extend the field to new energies.

- Important tests of the Standard Model!
- R. Sandström

#### LaThuile workshop



### R. Sandström

LaThuile workshop

# Muon charge asymmetry from $W^{\pm}$

- In proton-proton collisions the production rate of W<sup>+</sup> is significantly larger than W<sup>-</sup>.
  - The proton contains two *u* and one *d* valence quarks.
  - The *W* asymmetry depends on the momentum fraction *x* of the partons, which we observe as a dependence on *η*.

$$x_{1,2} = \frac{m_W}{\sqrt{s}} \cdot e^{\pm y}, y \simeq \eta$$

• What we measure:

 $A_{\mu} = \frac{d\sigma_{\mathrm{W}\mu^{+}}/d\eta_{\mu} - d\sigma_{\mathrm{W}\mu^{-}}/d\eta_{\mu}}{d\sigma_{\mathrm{W}\mu^{+}}/d\eta_{\mu} + d\sigma_{\mathrm{W}\mu^{-}}/d\eta_{\mu}}$ 

- This is the second analysis of this asymmetry from ATLAS.
  - The first analysis used 310 nb<sup>-1</sup> and 2  $\eta$ -bins.



# Charge asymmetry from $W^{\pm}$ – uncertainties

# Systematics:

### • Trigger efficiency (2-7%)

- Geometrical acceptance  $\eta$  dependent.
- Muon reconstruction efficiency (1-7%)
  - Geometrical acceptance  $\eta$  dependent.
- Muon momentum scale and resolution (1-2%)
- Luminosity (1%)

# Main backgrounds:

- $Z \rightarrow \mu \mu$ , with one  $\mu$  missed. (3%)
- $W \rightarrow \tau \nu$ , with  $\tau \rightarrow \mu$ . (2%)
- $Z \rightarrow \tau \tau$ , with one  $\tau \rightarrow \mu$ . (1%)
- $t\bar{t} \rightarrow b\bar{b}q\bar{q}\nu\mu$ . (1%)
- Multijet events with  $b/c \rightarrow \mu$ . (<1%)

### Total: 7% background

• Implies systematic uncertainty of 1-2%.

### • Statistical uncertainty:

- Statistical uncertainty is similar to systematic uncertainty per  $\eta$  bin. Typical values for both sources:
  - ~4% in endcaps
  - ~6% in barrel



# Charge asymmetry from $W^{\pm}$ – conclusions

# • *W* asymmetry increases with $|\eta|$ .

- Relates to parton distribution functions of valence quarks.
- Parton distribution functions agree the data.
  - We expect that these results will further constrain next generation PDF uncertainties.
    - Especially for low *x* valence quarks.







 $W \rightarrow e_{\nu} + jets$ 

# $W \rightarrow \mu \nu + jets$





- With 1.3 pb<sup>-1</sup>, we measured cross section also for *W/Z+jets*.
  - Important test of QCD
  - Input to many physics analysis
  - See talk by E. Meoni Tuesday!
- Here: W → lv+jets cross section as function of pt of two leading jets.

Pythia: Leading-order generator

Alpgen, Sherpa: Match N+1 ME to a LL parton shower (rescaled to NNLO inclusive XS)

MCFM: NLO prediction at parton level for Njet≤2, LO for Njet=3



### R. Sandström

#### LaThuile workshop

# W+jets - jet multiplicity 17 $W \rightarrow ev+\text{jets}$ $W \rightarrow \mu v+\text{jets}$



- Also the observed jet multiplicity agrees with simulation.
  - The theoretical uncertainty is only shown for MCFM.
  - Pythia does not reproduce the data at high jet multiplicity.
    - 2 → 2 at matrix element level + additional jets from parton shower is insufficient.
  - The uncertainties between bins are correlated.



#### LaThuile workshop



LaThuile workshop



# **B-tagging**

- Identification of jets originating from *b*-quarks very important in top physics.
- General concept: Exploit relatively long lifetime of *B*-hadrons resulting in flight times of *O*(few) mm.
  - Identifiable secondary decay vertex.





- Multiple techniques possible
  - here comparatively simple and robust method exploited: selection based on decay length significance *L* / *σ*(*L*)
  - Working point gives 50% efficiency for identifying *b* in *tt*, at mistag rate < 1%.</li>

#### LaThuile workshop

# $e + \mu + 2$ *b*-tagged jets

 $pT(\mu) = 5 | GeV; p_T(e) = 66 GeV; pT (b-tag jets) = |74, 45 GeV; E_T^{miss} = |13 GeV | Secondary vertices vertex mass = ~ 2 GeV, ~ 4 GeV; Purity: > 96\%$ 



# Backgrounds – single lepton channel

## Multi-jet events.

- One lepton from a jet instead of the *W*.
- Reduced by:
  - isolation criteria on the lepton
  - B-tagging at least one of the jets

### • *W*+jets.

- Reduced by:
  - B-tagging at least one of the jets
- Irreducible:
  - $W+b\overline{b}+$ jets.



### Z+jets

- Where one lepton is not found  $\rightarrow$  fake missing  $E_{T}$
- Irreducible:



• Single top + jets.

0



# Estimating multi-jet background – single lepton channel

### µ+jets contrib. from heavy flavour decays

23

• Use Matrix method: Define a loose selection in addition to the one used in the main event selection:

$$N^{\text{loose}} = N^{\text{loose}}_{\text{real}} + N^{\text{loose}}_{\text{fake}},$$
$$N^{\text{std}} = rN^{\text{loose}}_{\text{real}} + fN^{\text{loose}}_{\text{fake}}$$

- r measured in Z  $\rightarrow \mu\mu$  events
- *f* measured in 2 separate QCD enriched control regions

# e + jets contribution from heavy flavour, $\gamma \rightarrow \textit{ee}$ , $\pi^{t}$

- Use E<sub>T</sub><sup>miss</sup> template fitting method where QCD templates are obtained from 2 separate control regions.
  - Jets with high EM fraction.
  - Events with bad track quality.



# Estimating *W*+jet background – single lepton channel



24

Number of *W*+4jets was extrapolated from low-jet multiplicity control sample using Berends-Giele scaling

$$\frac{W + (n+1) \text{ jets}}{W + n \text{ jets}} \sim \text{const}$$

$$f_{\text{tagged}}^{\geq 4-\text{jet}} = f_{\text{tagged}}^{2-\text{jet}} \cdot f_{2 \rightarrow \geq 4}^{\text{corr}}$$
Tag fraction in Accounts for different flavor composition for 2-jet and 4-jet events. Estimated with ALPGEN.



# Jet multiplicities – single lepton channel



R. Sandström

25





2

1

Number of jets

≥4

3

LaThuile workshop

# Cross section determination – single lepton channel

Number of events passing all cuts:

26

|                 | e+jets            | $\mu + \mathrm{jets}$  | combined               |
|-----------------|-------------------|------------------------|------------------------|
| Observed        | 17                | 20                     | 37                     |
| Total est. bkg  | $7.5 \pm 3.1$     | $4.7\pm1.7$            | $12.2\pm3.9$           |
| $t\overline{t}$ | $9.5\pm4.1\pm3.1$ | $15.3 \pm 4.4 \pm 1.7$ | $24.8 \pm 6.1 \pm 3.9$ |

$$\sigma_{t\bar{t}} = \frac{N_{obs} - N_{bkg}}{\int \mathcal{L}dt \cdot \boldsymbol{\epsilon}_{t\bar{t}} \cdot Br(t\bar{t} \to \ell + jets)} \qquad \boldsymbol{\epsilon}_{t\bar{t}} \cdot Br(t\bar{t} \to \ell + jets) = \begin{cases} 3.1 \pm 0.7\% & (e + jets) \\ 3.2 \pm 0.7\% & (\mu + jets) \end{cases}$$

Cross section after subtracting estimated background:

|                        | e+jets                      | $\mu + \mathrm{jets}$        | $e/\mu$ +jets combined       |
|------------------------|-----------------------------|------------------------------|------------------------------|
| Counting $\sigma$ [pb] | $105 \pm 46 \ ^{+45}_{-40}$ | $168 \pm 49  {}^{+46}_{-38}$ | $142 \pm 34  {}^{+50}_{-31}$ |

### The result is confirmed by two fit based methods!

R. Sandström

# Backgrounds – di-lepton channel

### Multi-jet events.

27

- Both leptons from a jet.
- Reduced by:
  - isolation criteria on the lepton
  - B-tagging at least one of the jets

### • *W*+jets.

One lepton from a jet.

### Di-boson events.

- E.g., WW
- Reduced by
  - requiring at least 2 jets

а

## Z+jets / Drell-Yan+jets

- Reduce by
  - $E_{T}miss > 40 \text{ GeV} (ee), 30 \text{ GeV} (\mu\mu)$
  - Z mass veto
  - Scalar sum of  $E_{T} > 150$  GeV for  $e\mu$  channel
- Irreducible:
  - $Z+\tau\tau$  semileptonic.

- Single top + jets.
  - Irreducible

# Backgrounds – di-lepton channel

### • Multi-jet events.

28

- Both leptons from a jet.
- Reduced by:
  - isolation criteria on the lepton
  - B-tagging at least one of the jets

### *W*+jets.

One lepton from a jet.

### Di-boson events.

- E.g., WW
- Reduced by
  - requiring at least 2 jets

ā

## • Z+jets / Drell-Yan+jets

- Reduce by
  - $E_{T}$ miss > 40 GeV (*ee*), 30 GeV ( $\mu\mu$ )
  - Z mass veto
  - Scalar sum of  $E_{T} > 150$  GeV for  $e\mu$  channel
- Irreducible:
  - $Z+\tau\overline{\tau}$  semileptonic.

- Single top + jets.
  - Irreducible

### R. Sandström

### LaThuile workshop

# Missing energy & HT – di-lepton channel

2011-03-03



- The large *Z*/DY+jets background can be reduced by requiring missing transverse energy (neutrinos).
- Since *e*µ channel does not contain as many *Z*, a scalar sum of the transverse energy of all jets and leptons was used instead.

# Estimating Z/Drell-Yan background – di-lepton channel



30

| Process                               | ee              | μμ               | eμ              |
|---------------------------------------|-----------------|------------------|-----------------|
| Z+jets (DD)                           | $0.25 \pm 0.18$ | $0.67 \pm 0.38$  | -               |
| $Z(\rightarrow \tau \tau)$ +jets (MC) | $0.07\pm0.04$   | $0.14 \pm 0.07$  | $0.13 \pm 0.06$ |
| Non-Z leptons (DD)                    | $0.16 \pm 0.18$ | $-0.08 \pm 0.07$ | $0.47 \pm 0.28$ |
| single top (MC)                       | $0.08 \pm 0.02$ | $0.07 \pm 0.03$  | $0.22 \pm 0.04$ |
| dibosons (MC)                         | $0.04 \pm 0.02$ | $0.07 \pm 0.03$  | $0.15 \pm 0.05$ |
| Total predicted (non $t\bar{t}$ )     | $0.60 \pm 0.27$ | $0.88 \pm 0.40$  | $0.97 \pm 0.30$ |
| $t\bar{t}$                            | $1.19 \pm 0.19$ | $1.87 \pm 0.26$  | $3.85 \pm 0.51$ |
| Total predicted                       | $1.79 \pm 0.38$ | $2.75 \pm 0.55$  | $4.82 \pm 0.65$ |
| Observed                              | 2               | 3                | 4               |

- Define control region in Z-window and below the E<sup>miss</sup>-cut.
  - Control region = Z candidates
- Determine the ratio of events in control region and signal region from simulation.
- Estimate *Z*/DY contamination by counting number of events in control region, and multiply by the above ratio.

$$N_{signal,data} = N_{control,data} \times \frac{N_{signal,MC}}{N_{control,MC}}$$

### R. Sandström

# Jet multiplicities – di-lepton channel



### • Di-leptons left after selection:

• 2 *ee* (2 pass *b*-tagging)

31

- <sup>ο</sup> 3 μμ (1 pass *b*-tagging)
- $4 e\mu$  (2 pass *b*-tagging)

(Uncertainty on *b*-tagging efficiency implies that a better cross section estimate is obtained with untagged jets.)

# Cross section determination – di-lepton channel

Cross section after subtracting estimated background:

$$\sigma_{\mathrm{t} \overline{\mathrm{t}}} = rac{\mathrm{N}_{\mathrm{obs}} - \mathrm{N}_{\mathrm{bkg}}}{\int \mathcal{L} \mathrm{d} \mathrm{t} \cdot \mathbf{\varepsilon}_{\mathrm{t} \overline{\mathrm{t}}} \cdot \mathrm{Br}(\mathrm{t} \overline{\mathrm{t}} 
ightarrow \ell \ell)}$$

From MC: 
$$\boldsymbol{\varepsilon}_{t\bar{t}} \cdot \operatorname{Br}(t\bar{t} \to \ell\ell) = \begin{cases} 0.24\% & (ee) \\ 0.38\% & (\mu\mu) \\ 0.81\% & (e\mu) \end{cases}$$

| Channel  | $\sigma_{\rm t\bar{t}}~[\rm pb]$      |
|----------|---------------------------------------|
| ee       | $193 \ ^{+243}_{-152} \ ^{+84}_{-48}$ |
| μμ       | $185 \ ^{+184}_{-124} \ ^{+56}_{-47}$ |
| eμ       | $129 \ ^{+100}_{-72} \ ^{+32}_{-18}$  |
| Combined | $151  {}^{+78}_{-62}  {}^{+37}_{-24}$ |

### R. Sandström

# Combining all channels

|                        | Cross-section [pb]                  | Signal significance $[\sigma]$ |
|------------------------|-------------------------------------|--------------------------------|
| Single lepton channels | $142 \pm 34  {}^{+50}_{-31}$        | 4.0                            |
| Dilepton channels      | $151 \ ^{+78}_{-62} \ ^{+37}_{-24}$ | 2.8                            |
| All channels           | ${\bf 145 \pm 31  ^{+42}_{-27}}$    | 4.8                            |

- Combining all single lepton and di-lepton channels in a joint likelihood fit.
  - Accounts for all systematics and correlations.
- The results agrees with theoretical prediction.
  - Agreement between ATLAS & CMS results.





R. Sandström

# Summary

35

• Many Standard Model measurements were made.

### • W & Z cross section

• The measurements agree with theory.

 $\begin{aligned} \sigma_W^{\text{tot}} \cdot \text{BR}(W \to \ell \nu) &= 9.96 \pm 0.23(\text{stat}) \pm 0.50(\text{syst}) \pm 1.10(\text{lumi}) \text{ nb} \\ \sigma_{Z/\gamma^*}^{\text{tot}} \cdot \text{BR}(Z/\gamma^* \to \ell \ell) &= 0.82 \pm 0.06(\text{stat}) \pm 0.05(\text{syst}) \pm 0.09(\text{lumi}) \text{ nb} \end{aligned}$ 

- $W \rightarrow \mu \nu$  asymmetry
  - New analysis using 31 pb<sup>-1</sup>.
  - Will provide useful information for low *x*.

### W/Z + jets cross section

• Measured cross section as function of jet multiplicity agrees with NLO simulation.

- ATLAS has measured the top pair production cross-section at the LHC in the first 2.9 pb-1 of data.
- The cross-section is measured to be

$$\sigma_{f tar t} = 145 \pm 31^{+42}_{-27} ~{
m pb}$$

- Agreement was found:
  - between the 5 subchannels  $(e^{t}, \mu^{t}, e^{t}e^{-}, \mu^{t}\mu^{-}, e^{t}\mu^{-})$
  - in kinematic properties of selected events with SM tt production
  - with (NLO/NNLO) QCD predictions  $\sigma_{t\bar{t}} = 164^{+11.4}_{-15.7} \text{ pb}$
  - with CMS
    - $\sigma_{t\bar{t}}=194\pm72~(\mathrm{stat.})\pm24~(\mathrm{syst.})\pm21~(\mathrm{lumi.})~\mathrm{pb}$

#### R. Sandström

#### LaThuile workshop

# **Backup slides**

36

www.atlas.ch

R. Sandström

LaThuile workshop







### 2011-03-03

LaThuile workshop

R. Sandström

# Motivation to study top quarks

38

- Precision EW+Higgs physics very sensitive to top mass.
- Top appears in many extensions to the Standard Model:
  - Heavy resonances  $pp \rightarrow Z' \rightarrow t\bar{t}$



• FCNC (highly suppressed in SM)



- Top as background:
  - Di-boson: WW,WZ,ZZ
  - Higgs:  $H \rightarrow ZZ$ , ...
  - Susy: stops
- o ...
- To do list for 2011:
  - Top mass
  - Single top production cross-section
  - Top properties
    - Wtb vertex structure
    - top quark charge
    - spin correlations
  - FCNC
  - Heavy resonances

R. Sandström

Ο

# **Event selection**

**Cosmics,pile-up rejection:**  $\geq$ 5 tracks from primary vertex **Trigger:** Single lepton trigger, pT>10 GeV (fully efficient at 20 GeV) **Leptons:** electron or muon, pT>20 GeV, isolated (to suppress leptons from hadrons decaying in-flight and semi-leptonic production in heavy flavor jets),  $|\eta|$ <2.5 **Jets:** anti-kt, R=0.4,  $|\eta|$ <2.5

### Single lepton channel



Exactly 1 lepton (e or µ) ≥4 jets with pT>25 GeV ≥1 with b-tag (50% efficiency working point) ETmiss >20 GeV (reject QCD BG) ETmiss + mT(W) > 60 GeV ("triangular cut")

### **Dilepton channel**



Exactly 2 leptons(ee, µµ, eµ) with opposite charge ≥2 jets with pT>20 GeV, no b-tag ee: |Mee -MZ| > 5 GeV, ETmiss >40 GeV µµ: |Mµµ -MZ| > 10 GeV, ETmiss>30 GeV eµ: HT>150 GeV (HT is scalar sum of pT of leptons and selected jets )

# <sup>40</sup> Cross section determination

- A binned likelihood fit was used to extract the cross-section.
  - Expected number of events:

$$N^{\mathrm{exp}}(\sigma_{\mathrm{t}\bar{\mathrm{t}}},\alpha_{j}) = L \cdot \varepsilon_{\mathrm{t}\bar{\mathrm{t}}}(\alpha_{j}) \cdot \sigma_{\mathrm{t}\bar{\mathrm{t}}} + \sum_{\mathrm{bkg}} L \cdot \varepsilon_{\mathrm{bkg}}(\alpha_{j}) \cdot \sigma_{\mathrm{bkg}}(\alpha_{j}) + N_{\mathrm{DD}}(\alpha_{j})$$

- L = luminosity,  $\varepsilon$  = efficiency \* acceptance ,  $\alpha$  = variation of acceptance and background due to systematic uncertainties.
- For each channel, define likelihood:

$$\mathcal{L}(\sigma_{t\bar{t}},L,\alpha_{j}) = \operatorname{Poisson}\left(N^{\operatorname{obs}} \,|\, N^{\exp}(\sigma_{t\bar{t}},\alpha_{j})\right) \times \operatorname{Gauss}(L_{0}|L,\delta_{L}) \times \prod_{j \in \operatorname{syst}} \Gamma_{j}(\alpha_{j})$$

Counting experiment  $\rightarrow$  Use Poisson to model  $N^{obs}$  given  $N^{exp}$ (contains cross-section as fit parameter) Luminosity uncertainty is a nuisance parameter, modelled by a Gaussian.  $L_0=2.9 \text{ pb}^{-1}, \delta_L=11\%$  Systematic uncertainties (JES, lepton efficiencies, uncertainties on datadriven measurements, etc) are modelled by Gamma functions (→ Gaussian at limit of small uncertainty)

#### R. Sandström



# Cross section uncertainties – single lepton channel

41



| Uncertainty          | Single electron | Single muon |
|----------------------|-----------------|-------------|
| Statistical          | 43%             | 29%         |
| Jet energy scale     | 13%             | 11%         |
| B-tagging efficiency | -10% / +15%     | -10% / +14% |
| Multi-jet background | 30%             | 2%          |
| W+jet background     | 11%             | 11%         |
| LaThuile workshop    |                 |             |

R. Sandström