Evidence for Anomalous Like-sign Dimuon Asymmetry At the D0 Experiment

Mark Williams

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Fermilab International Fellow Lancaster University, UK

Why the Big Fuss?

The New Hork Times

A New Clue to Explain Existence



Big News About Small Particles. And Why You Care





Teadlased avastasid aine ja antiaine ebasümmeetria

Fermilab Finds New Mechanism for Matter's Dominance over Antimatter



Noi descoperiri în misterul antimateriei

A România liheră ra

Telegraph

Haber: Evrendeki Dengelere Yeni Denklem

Atom smasher offers new clue to mystery of universe's formation

Почему мы существуем: как материя побеждает антиматерию





宇宙何以充斥物质而不是反物质?

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El Tevatrón halla una pista para entender la composición del Universo



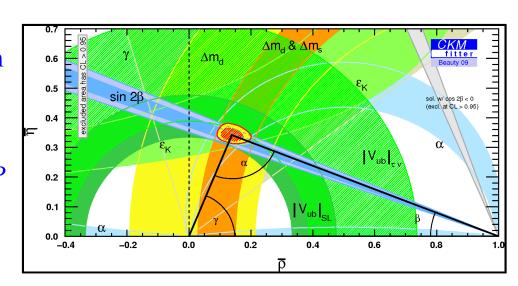
Matter Dominance and CP Violation

The universe that we observe is matter dominated, **but** we expect that the Big Bang produced matter/antimatter **equally**.

→ At some point a small asymmetry developed. **CP Violation** (CPV) is required in order to generate such an asymmetry (*Sakharov*).

CP violation is naturally included in the standard model through the quark mixing (CKM) matrix;

Many different measurements of *CP* violation phenomena are in excellent agreement with the SM:



However, the level of CPV predicted by the SM is far **too small** to explain the observed matter dominance.

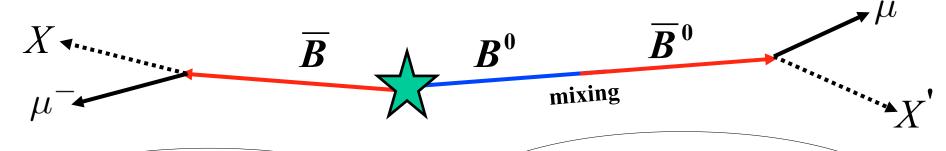
It is important to look for new sources of CPV



Dimuon Charge Asymmetry

We measure *CP* violation in neutral B meson mixing using the **same-sign** dimuon charge asymmetry of **semileptonic** *B* **decays**:

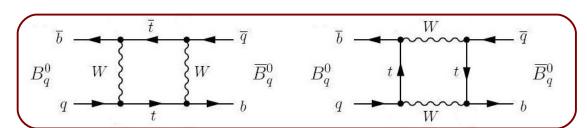
$$A_{sl}^{b} \equiv \frac{N_{b}^{++} - N_{b}^{--}}{N_{b}^{++} + N_{b}^{--}}$$



One muon comes from direct semileptonic decay $b \rightarrow \mu^- X$

Second muon comes from direct semileptonic decay after neutral B meson mixing: $B^{\theta} \rightarrow \bar{B}^{\theta} \rightarrow \mu^{-}X$

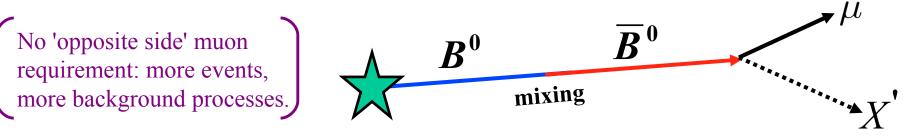
Asymmetry can occur if mixing rates are different: $R(B_{(s)}^{0} \rightarrow B_{(s)}^{0}) \neq R(B^{0} \rightarrow B^{0})$





Inclusive Muon Charge Asymmetry

Because any dimuon asymmetry arises from the meson mixing, A_{sl}^{b} is equal to the charge asymmetry a^b_{sl} of "wrong sign" (i.e. oscillated) semileptonic B decays:



$$a^{b}_{sl} \equiv \frac{\Gamma(\overline{B} \to \mu^{+}X) - \Gamma(B \to \mu^{-}X)}{\Gamma(\overline{B} \to \mu^{+}X) + \Gamma(B \to \mu^{-}X)} = A^{b}_{sl}$$

We therefore have two ways of measuring A_{sl}^{b} :

- Via dimuon charge asymmetry; (upper-case symbols in this talk)
- Via inclusive muon charge asymmetry. (lower-case symbols)



A^{b}_{sl} at the Tevatron

The inclusive muon charge asymmetry can also be defined separately for specific flavors, $B^{\theta}_{(d)}$ and B^{θ}_{s} , and related to the meson mixing parameters ΔM , $\Delta \Gamma$, φ :

$$a^{q}_{sl} \equiv \frac{\Gamma(\overline{B}^{0}_{q} \to \mu^{+}X) - \Gamma(B^{0}_{q} \to \mu^{-}X)}{\Gamma(\overline{B}^{0}_{q} \to \mu^{+}X) + \Gamma(B^{0}_{q} \to \mu^{-}X)} = \frac{\Delta \Gamma_{q}}{\Delta M_{q}} tan(\varphi_{q})$$

Both B_d^0 and B_s^0 are produced at the Tevatron, so both contribute to A_{sl}^b , yielding the SM prediction:

$$A^{b}_{sl} = (0.506 \pm 0.043)a^{d}_{sl} + (0.494 \pm 0.043)a^{s}_{sl} = (-0.023^{+0.005}_{-0.006})\%$$

SM prediction is negligible compared to current experimental precision – any significant deviation from zero is an unambiguous signal of new physics.



Experimental Environment

D0 records **pp** collisions at 1.96 TeV: **matter-antimatter symmetric** (by design)

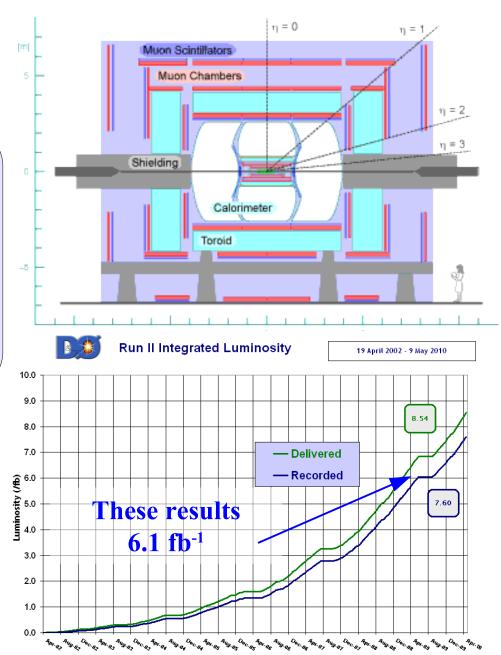
Inner tracking (silicon sensors + scintillation fibers) within 2T solenoid magnet;

Muon tracking detector: multiple planes of drift chambers on either side of 1.8T toroid magnet;

Muon scintillators provide time resolution of 2-3 ns;

Detector is made of matter – therefore has **inherent matter-antimatter asymmetry**!

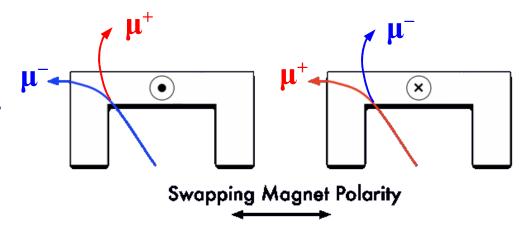
Asymmetries due to magnet polarities are mitigated by **regularly reversing currents**...





Reversal of Magnet Polarities

For a given magnet polarity, there is a charge asymmetry, e.g. from muons bending out of the muon detector acceptance;



The trajectory of a *negative* particle in a given polarity is exactly the same as the trajectory of the *positive* particle with the magnet polarity reversed;

By separately analyzing four samples corresponding to the different solenoid/toroid polarities (++, ---, +--, -+) the overall difference in the reconstruction efficiency between positive and negative particles is minimized.

Changing polarities is an important feature of the DØ detector, which significantly reduces systematics in charge asymmetry measurements.



Raw Asymmetries

Experimentally, we measure two quantities (by event counting):

Inclusive muon charge asymmetry

$$a \equiv \frac{n^+ - n^-}{n^+ + n^-}$$

Like-sign dimuon charge asymmetry

$$A \equiv \frac{N^{++} - N^{--}}{N^{++} + N^{--}}$$

- **Event Selection:**
- Track-matched muon ($|\eta| < 2.2$);
- $^{>}$ 1.5 < pT < 25 GeV;
- $p_T > 4.2 \text{ GeV } or |p_I| > 6.4 \text{ GeV};$
- Distance to primary vertex < 3mm</p> (5mm) in transverse (beam) direction.

- Both muons must pass inclusive muon selection;
- Same charge, same PV;
- $M(\mu\mu) > 2.8$ GeV to suppress events where muons are from same B decay.

$$a = (+0.955 \pm 0.003) \%$$
(from 1.495 x 10° muons)

Results:

$$A = (+0.564 \pm 0.053) \%$$
(from 3.731 x 10⁶ dimuon events)



Extracting $A^b_{\ \ \epsilon l}$

Both A and a linearly depend on the charge asymmetry A_{sl}^b

- A_{bkg} and a_{bkg} are detector-related background contributions to the measured asymmetry;
- Coefficients K and k are small (< 1) due to the effect of charge symmetric background processes diluting the semileptonic asymmetry.

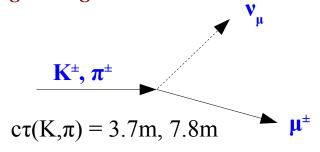
- Our task is to:

 1) Determine the background contributions A_{bkg} and a_{bkg} ;
 2) Find the coefficients K and k;
 3) Extract the asymmetry A_{sl}^b .

Final result was blinded until all analysis methods were fixed



Detector Asymmetries A_{bkg} , a_{bkg}



These terms account for effects from:

- \rightarrow Decays $K^{\pm} \rightarrow \mu^{\pm} \nu$, $\pi^{\pm} \rightarrow \mu^{\pm} \nu$;
- Hadronic punch-through to the muon detector;
- Muon reconstruction asymmetries;
- Asymmetries in tracks wrongly associated with muons.

Measured directly in data, with a reduced input from simulation

e.g. for inclusive muon case:

$$a_{bkg} = f_k a_k + f_n a_n + f_p a_p + (1 - f_{bkg}) \delta$$
kaon pion Proton
fraction (+ 'fakes')

asymmetry

e asymmetry



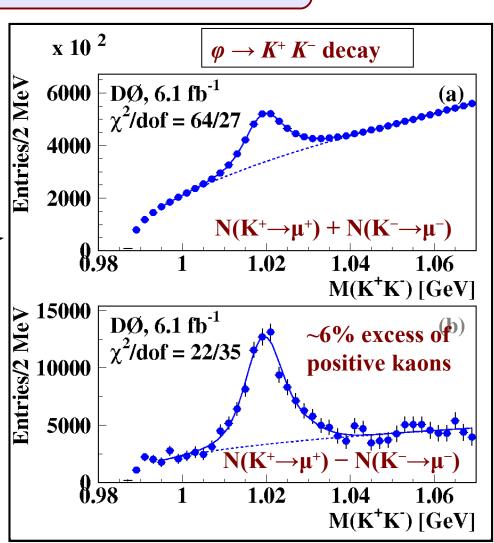
Example: Asymmetry from Kaons

To determine a_{bkg} and A_{bkg} , we need to know the 7 parameters $a_{K,\pi,p}$, $f_{K,\pi,p}$, δ , and the corresponding dimuon parameters.

These are measured in bins of muon p_T .

Example: Kaon asymmetry measured using decays $\varphi \to K^+K^-$ and $K^{*\theta} \to K^+\pi^-$ by fitting mass peaks to find asymmetry.

It is positive, because 'antimatter' kaons (K⁻) are more likely to interact with matter in the detector, so have less chance of decaying to muons before interaction.





Summary of Background Contributions

$$a_{bkg} = f_k a_k + f_{\pi} a_{\pi} + f_p a_p + (1 - f_{bkg}) \delta$$

$$A_{bkg} = F_k A_k + F_{\pi} A_{\pi} + F_p A_p + (2 - F_{bkg}) \Delta$$

We obtain:

	$f_{K}a_{K}(\%)$ or $F_{K}A_{K}(\%)$	$f_{\pi}a_{\pi}(\%)$ or $F_{\pi}A_{\pi}(\%)$	$f_p a_p (\%)$ or $F_p A_p (\%)$	$(1-f_{bkg})\delta$ (%) or $(2-F_{bkg})\Delta$ (%)	$egin{aligned} \mathbf{a_{bkg}} \ ext{or } \mathbf{A_{bkg}} \end{aligned}$
Inclusive	0.854 ± 0.018	0.095 ± 0.027	0.012 ± 0.022	-0.044 ± 0.016	0.917 ± 0.045
Dimuon	0.828 ± 0.035	0.095 ± 0.025	0.000 ± 0.021	-0.108 ± 0.037	0.815 ± 0.070

- All uncertainties are statistical only;
- Dominant effect comes from kaons, as expected;
- Notice that background contribution is similar for inclusive muon and dimuon sample: $A_{bkg} \approx a_{bkg}$



Dilution by Non-Contributing Processes

Factors k and K account for muons from sources which are fully symmetric, and **only** contribute to the denominator in A^b_{sl} .

Decays contributing to the muon sample include:

- $b \rightarrow \mu^{-}X$ (including possible oscillations)
- $b \rightarrow c \rightarrow \mu^{+}X$ (including possible oscillations)
- \rightarrow b \rightarrow ccq
- > cc and bbcc production
- \rightarrow η , ω , ρ^0 , $\varphi(1020)$, J/ψ , ψ' decaying to $\mu^+\mu^-$

These decays are currently measured with a good precision (see PDG), and this input from simulation produces a small systematic uncertainty.

$$k = 0.041 \pm 0.003$$

 $K = 0.342 \pm 0.023$

k is found to be much smaller than K, because many more non-oscillating b- and c-quark decays contribute to the inclusive asymmetry.



Closure Test

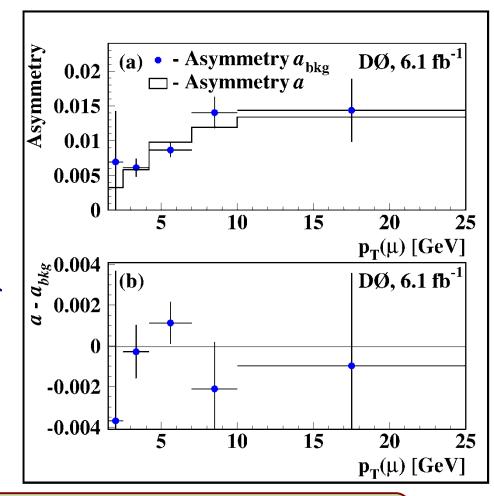
The contribution of A^b_{sl} in the inclusive muon asymmetry a is suppressed by:

$$k = 0.041 \pm 0.003;$$

therefore a is mainly determined by the background asymmetry $a \approx a_{bkg}$;

We measure a_{bkg} in data, and we can verify how well it describes the observed asymmetry a, as a function of muon p_T ;

We get $\chi^2/\text{d.o.f.} = 2.4/5$ for the difference between these two distributions;



Excellent agreement between the expected and observed values of a, including p_T dependence



Results: Part I

 A^{b}_{sl} is extracted separately from both inclusive muon (a) and dimuon (A) methods:

From *a*:
$$A^{b}_{sl} = [+0.94 \pm 1.12 \text{ (stat.)} \pm 2.14 \text{ (syst.)}] \%$$
From *A*:
$$A^{b}_{sl} = [-0.736 \pm 0.266 \text{ (stat.)} \pm 0.305 \text{ (syst.)}] \%$$

From A:
$$A^b_{sl} = [-0.736 \pm 0.266 \text{ (stat.)} \pm 0.305 \text{ (syst.)}] \%$$

Here's the clever part...

The background fractions a_{bkg} and A_{bkg} are strongly correlated (same sources contribute to both), so we can construct a linear combination such that the total uncertainties are minimised:

$$\mathbf{A'} \equiv \mathbf{A} - \alpha \cdot \mathbf{a} = (\mathbf{K} - \alpha \cdot \mathbf{k}) \mathbf{A^b}_{sl} + (\mathbf{A_{bkg}} - \alpha \cdot \mathbf{a_{bkg}})$$

We can expect optimal uncertainties for $\alpha \approx 1$, since background asymmetries are similar. We retain sensitivity to A^b_{sl} , because the dilution coefficient K >> k.

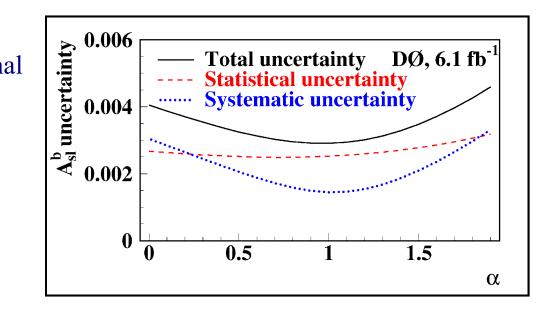


Results: Part II

Scan over total uncertainty on final measurement, yields $\alpha = 0.959$.

Reduces overall systematic uncertainty — precision is now **statistically limited**.

From $A' = A - \alpha a$ we obtain:



$$A_{sl}^b = [-0.957 \pm 0.251 \text{ (stat.)} \pm 0.146 \text{ (syst.)}] \%$$

This result differs from the SM prediction, $[-0.023 \pm 0.006]$ %, by ~3.2 σ .

Measured asymmetry favours the production of matter over antimatter in semileptonic decays of oscillated neutral B mesons.



Minimising Uncertainties...

	A^{b}_{sl} Inclusive	A^b_{sl} Dimuon	A^{b}_{sl} Combined
Source	$\sigma(A_{\rm sl}^b)(59)$	$\sigma(A_{\rm sl}^b)(60)$	$\sigma(A_{\rm sl}^b)(62)$
A or a (stat)	0.00066	0.00159	0.00179
f_K or F_K (stat)	0.00222	0.00123	0.00140
$P(\pi \to \mu)/P(K \to \mu)$	0.00234	0.00038	0.00010
$P(p \to \mu)/P(K \to \mu)$	0.00301	0.00044	0.00011
A_K	0.00410	0.00076	0.00061
A_{π}	0.00699	0.00086	0.00035
A_p	0.00478	0.00054	0.00001
δ or Δ	0.00405	0.00105	0.00077
$f_K \text{ or } F_K \text{ (syst)}$	0.02137	0.00300	0.00128
π , K , p multiplicity	0.00098	0.00025	0.00018
c_b or C_b	0.00080	0.00046	0.00068
Total statistical	0.01118	0.00266	0.00251
Total systematic	0.02140	0.00305	0.00146
Total	0.02415	0.00405	0.00290

Dominant uncertainties

18



Comparison with other Measurements

In this analysis we measure a linear combination of a_{sl}^d and a_{sl}^s :

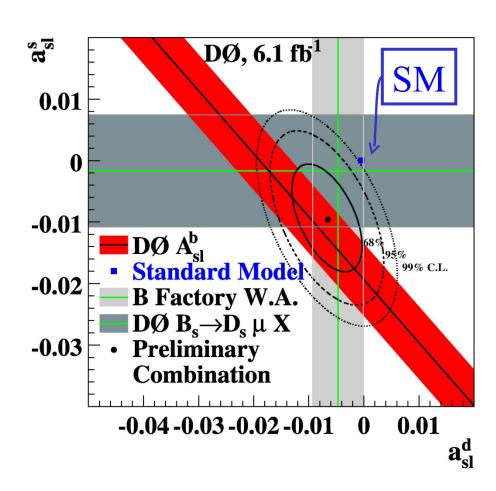
$$A_{sl}^b = 0.506 a_{sl}^d + 0.494 a_{sl}^s$$

Obtained result agrees well with other measurements of a^d_{sl} and a^s_{sl} .

The value of a_{sl}^s can also be extracted, using additional input from a_{sl}^d :

$$a^{s}_{sl} = (-1.46 \pm 0.75)\%$$

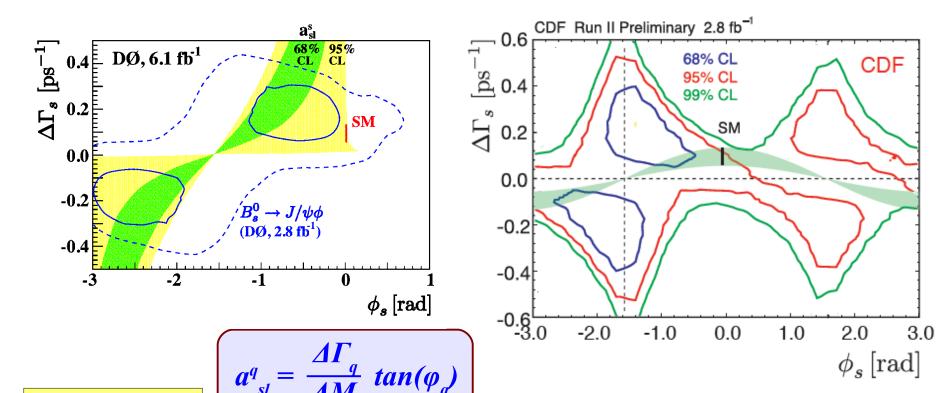
SM value is $(+0.0021 \pm 0.0006)\%$





Constraining B⁰ Mixing Parameters

- The value of a_{sl}^s can be further translated into a 2D constraint on the CP violating phase φ_s and $\Delta \Gamma_s$;
- The contours are in excellent agreement with independent measurements of φ_s and $\Delta \Gamma_s$ in $B_s \rightarrow J/\psi \varphi$ decay (CDF and D0);

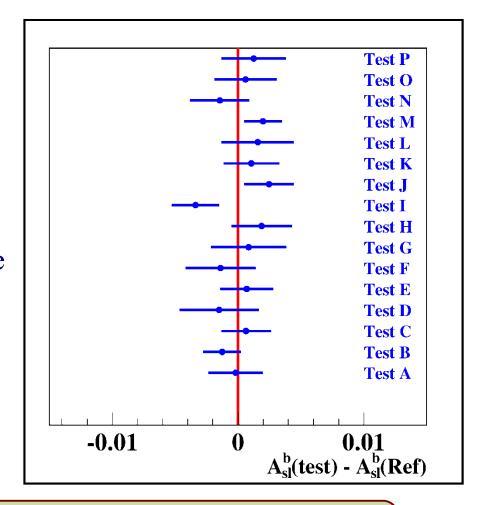




Consistency Tests

We modify the selection criteria, or use a sub-set of the data, to test the stability of the final result:

- 16 tests in total are performed;
- There is significant variation of the raw asymmetries *A* and *a* (up to 140%) due to changes in the background composition;
- However, A^b_{sl} remains stable in all tests.



The developed method is stable and gives a consistent result after modifying selection criteria over a wide range.



Conclusions

- We find evidence for CP violation in B meson mixing;
 - Inconsistent with the SM at a 3.2σ level;
 - > Favours the production of matter over antimatter;
- Final measurement is robust against changes in event selection;
- Backgrounds are well-understood, and can explain the p_T dependence of raw inclusive muon asymmetry a.
- Measurement is *statistically limited* precision will improve as more data is collected;
- Also many new ideas to further reduce uncertainties, and to investigate other aspects of the measurement.

Further reading: arXiv:1005.2575

submitted to PRD (PRL in preparation)



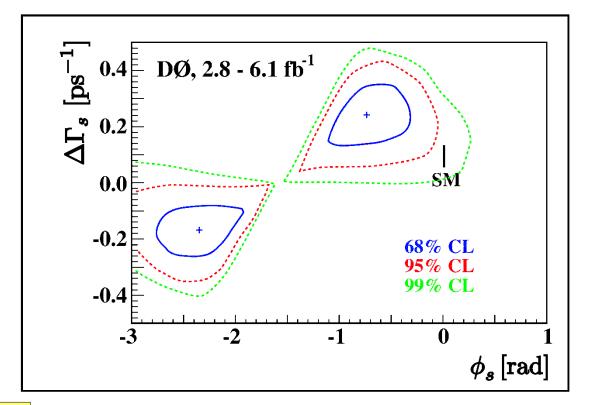
Backup Slides:

- > D0 Combination of $(\Delta\Gamma_s, \varphi_s)$;
- Mass dependence of asymmetry;
- > Theory slide;
- * Additional details on measurement;



Combination of Results

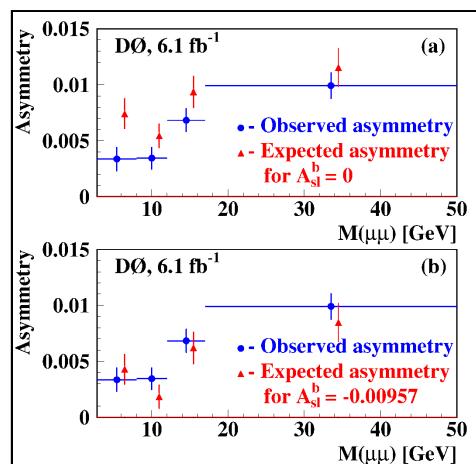
- This measurement and the result of the DØ analysis in $B_s \rightarrow J/\psi \varphi$ can be combined together;
- This combination excludes the SM value of φ_s at more than 95% C.L.





Dependence on Dimuon Mass

- We compare the expected and observed raw dimuon charge asymmetry A for different invariant masses M(μμ);
- The expected and observed asymmetries agree well for $A^b_{sl} = -0.00957$;
- Agreement is over the entire $M(\mu\mu)$ range supports B physics as the source of anomalous asymmetry.



Dependence on the dimuon mass is well described by the analysis method.



Consistency Tests A-C

- Test A: Using only the part of the data sample corresponding to the first 2.8 fb^{-1} .
- Test B: In addition to the reference selections, requiring at least three hits in muon wire chamber layers B or C, and the χ^2 for a fit to a track segment reconstructed in the muon detector to be less than 8.
- Test C: Since the background muons are produced by decays of kaons and pions, their track parameters measured by the central tracker and by the muon system are different. Therefore, the fraction of background strongly depends on the χ^2 of the difference between these two measurements. The requirement on this χ^2 is changed from 40 to 4 in this study.



Consistency Tests D-F

- Test D: The requirement on the transverse impact parameter is changed from 0.3 to 0.05 cm, and the requirement on the longitudinal distance between the point of closest approach to the beam and the associated primary vertex is changed from 0.5 to 0.05 cm (this test serves also as a cross-check against the possible contamination from muons from cosmic rays in the selected sample).
- Test E: Using only low-luminosity events with fewer than three primary vertices.
- Test F: Using only events with the same polarities of the solenoidal and toroidal magnets.



Consistency Tests G-J

- Test G: Changing the requirement on the invariant mass of the two muons from 2.8 GeV to 12 GeV.
- Test H: Using the same muon p_T requirement, $p_T > 4.2 \text{ GeV}$, over the full detector acceptance.
- Test I: Requiring the muon p_T to be $p_T < 7.0$ GeV.
- Test J: Requiring the azimuthal angle ϕ of the muon track be in the range $0 < \phi < 4$ or $5.7 < \phi < 2\pi$. This selection excludes muons directed to the region of poor muon identification efficiency in the support structure of the detector.



Consistency Tests K-N

- Test K: Requiring the muon η be in the range $|\eta| < 1.6$ (this test serves also as a cross-check against the possible contamination from muons associated with the beam halo).
- Test L: Requiring the muon η be in the range $|\eta| < 1.2$ or $1.6 < |\eta| < 2.2$.
- Test M: Requiring the muon η be in the range $|\eta| < 0.7$ or $1.2 < |\eta| < 2.2$.
- Test N: Requiring the muon η be in the range $0.7 < |\eta| < 2.2$.



A^{b}_{sl} and CP violation

A non-zero value of A_{sl}^b means that the semileptonic decays of B_q^0 and \overline{B}_q^0 are different;

It implies *CP* violation in mixing;

- > This occurs only due to mixing in the B_d and B_s systems;
- \rightarrow i.e. meson spends more time in \bar{B}_{q}^{0} state ($b\bar{s}$) than B_{q}^{0} ($\bar{b}s$);

Quantity describing *CP* violation in mixing is the complex phase ϕ_q of the B_q^0 (q = d,s) mass matrix:

$$\|\mathbf{M}_q\| = \begin{bmatrix} M_q & M_q^{12} \\ (M_q^{12})^* & M_q \end{bmatrix} - \frac{i}{2} \begin{bmatrix} \Gamma_q & \Gamma_q^{12} \\ (\Gamma_q^{12})^* & \Gamma_q \end{bmatrix}$$

$$\Delta M_q = M_H - M_L \approx 2 |M_q^{12}|$$

$$\Delta \Gamma_q = \Gamma_L - \Gamma_H \approx 2 |\Gamma_q^{12}| \cos \phi_q$$

$$\phi_q = \arg \left(-\frac{M_q^{12}}{\Gamma_q^{12}}\right)$$

 $a_{\rm sl}^q$ is related with the CP violating phase ϕ_q as:

$$a_{sl}^{q} = \frac{\Delta \Gamma_{q}}{\Delta M_{q}} \tan(\phi_{q})$$



Background Contributions

$$a = kA^{b}_{sl} + a_{bkg}$$

$$A = KA^{b}_{sl} + A_{bkg}$$

Several background processes contribute to a_{bkg} and A_{bkg} :

$$a_{bkg} = f_k a_k + f_{\pi} a_{\pi} + f_p a_p + (1 - f_{bkg}) \delta$$

$$A_{bkg} = F_k A_k + F_{\pi} A_{\pi} + F_p A_p + (2 - F_{bkg}) \Delta$$

Total 'fraction' of muons in each **dimuon** event is 2

- f_K , f_{π} , and f_p are the fractions of kaons, pions and protons identified as a muon in the inclusive muon sample;
- a_K , a_{π} , and a_p are the charge asymmetries of kaon, pion, and proton tracks;
- δ is the charge asymmetry of muon reconstruction;
- $\bullet \quad f_{\text{bkg}} = f_K + f_\pi + f_p$

Uppercase variables are the same quantities defined in the **same-sign dimuon sample**



Muon Reconstruction Asymmetry

$$a_{bkg} = f_k a_k + f_{\pi} a_{\pi} + f_p a_p + (1 - f_{bkg}) \delta$$

$$A_{bkg} = F_k A_k + F_{\pi} A_{\pi} + F_p A_p + (2 - F_{bkg}) \Delta$$

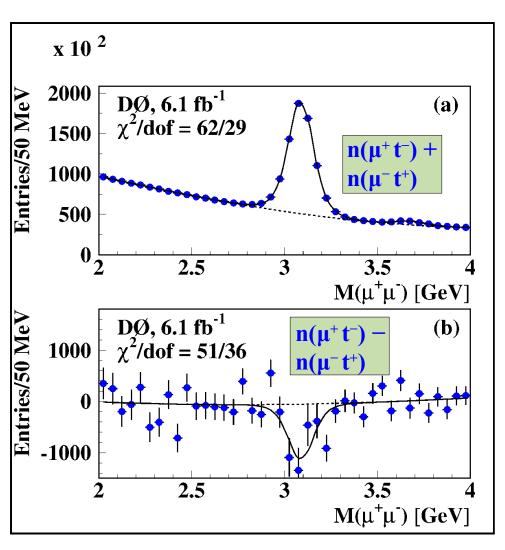
Final piece of the equation needed to determine a_{bkg} and A_{bkg} ;

- Reversal of toroid and solenoid polarities cancels 1st-order detector effects;
- Quadratic terms in detector asymmetries still can contribute into the muon reconstruction asymmetry;
- Detector asymmetries for a given magnet polarity $a_{det} \approx O(1\%)$;
- Therefore, we can expect the residual reconstruction asymmetry:

$$\delta \approx \Delta \approx 0 \ (0.01\%)$$



Muon Reconstruction Asymmetry



We measure the muon reconstruction asymmetry using $J/\psi \rightarrow \mu\mu$ events, where a muon is combined with any track of opposite charge:

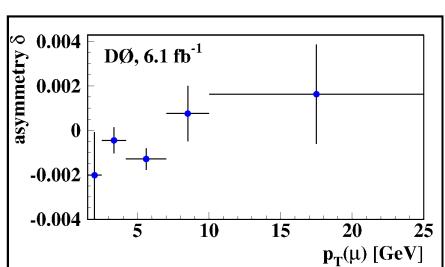
$$\delta = (-0.076 \pm 0.028) \%$$

 $\Delta = (-0.068 \pm 0.023) \%$

To be compared with:

$$a = (+0.955 \pm 0.003) \%$$

 $A = (+0.564 \pm 0.053) \%$





Kaon Detection Asymmetry

$$a_{bkg} = f_{k}a_{k} + f_{\pi}a_{\pi} + f_{p}a_{p} + (1 - f_{bkg})\delta$$

$$A_{bkg} = F_{k}A_{k} + F_{\pi}A_{\pi} + F_{p}A_{p} + (2 - F_{bkg})\Delta$$

- The largest background asymmetry comes from the charge asymmetry of kaon tracks identified as muons (a_K, A_K) ;
- Interaction cross section of K^+ and K^- with the detector material is different, especially for kaons with low momentum:

$$(a) p(K) = 1 \text{ GeV}: \quad \sigma(K^-d) \approx 80 \text{ mb} \quad \sigma(K^+d) \approx 33 \text{ mb}$$

This is because the reaction $K^-N \rightarrow Y\pi$ has no K^+N analogue;

• Hence K^+ mesons travel further in the detector on average, having a greater probability of decaying to muons, or punching through to the muon system – the asymmetries a_K and A_K should be positive.



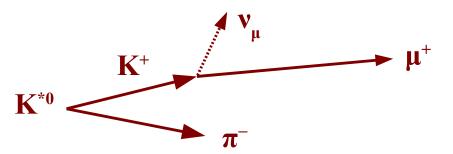
Measuring Kaon Asymmetry

Starting from the inclusive muon sample...

1) Define sources of kaons from resonances which can be fitted to extract signal size (two independent samples):

$$\mathbf{K}^{*0} \to \mathbf{K}^{+} \boldsymbol{\pi}^{-}$$
 $\phi(1020) \to \mathbf{K}^{+} \mathbf{K}^{-}$

2) Require that the kaon is identified as a muon, e.g.:

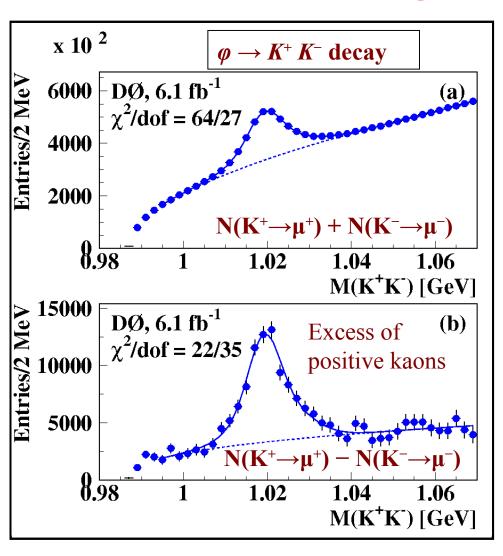


kaon usually decays outside tracking detector – so momentum is correctly measured.

- 3) Build the mass distribution separately for positive and negative kaons;
- 4) Compute asymmetry in the number of observed events;



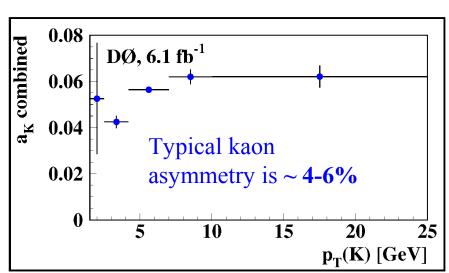
Measuring Kaon Asymmetry



For each channel, K^{*0} and $\phi(1020)$, the asymmetry is determined is bins of kaon transverse momentum.

The results for both channels agree (χ^2 of difference is 5.4/5 degrees-of-freedom), so they are combined to produce \mathbf{a}_{κ} .

The same-sign dimuon asymmetry $\mathbf{A}_{\mathbf{K}}$ is then determined algebraically from $\mathbf{a}_{\mathbf{K}}$, based on the two $\mathbf{p}_{\mathbf{T}}$ values of the muons.





Pion and Proton Asymmetry

$$a_{bkg} = f_k a_k + f_\pi a_\pi + f_p a_p + (1 - f_{bkg}) \delta$$

$$A_{bkg} = F_k A_k + F_\pi A_\pi + F_\mu A_p + (2 - F_{bkg}) \Delta$$

The same strategy is used to determine a_{π} , a_{p} , A_{π} and A_{p} .

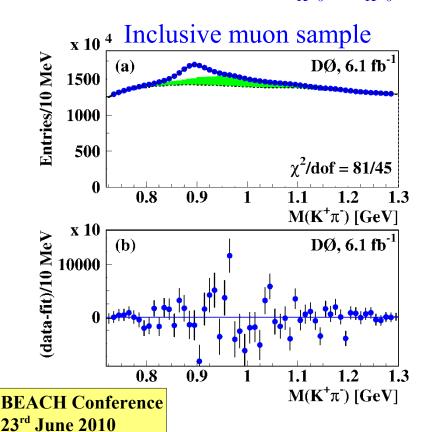
- $K_S \rightarrow \pi^+ \pi^-$ is used to measure pion asymmetry;
- $\Lambda \to p \pi^-$ is used to measure proton asymmetry.

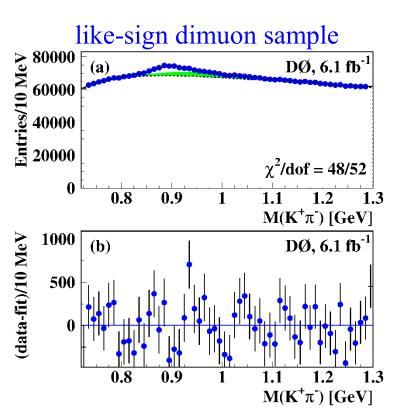
$a_{\scriptscriptstyle K}$	a_{π}	\boldsymbol{a}_p
$(+5.51 \pm 0.11)\%$	$+(0.25\pm0.10)\%$	$(+2.3 \pm 2.8)\%$

In fitting with expectations, the kaon asymmetry is positive, and forms the largest contribution.



- Fractions f_K , F_K are measured using the decays $K^{*_0} \to K^+\pi^-$ selected in the inclusive muon and like-sign dimuon samples respectively;
- Kaon is required to be identified as a muon;
- We measure fractions $f_{K^{*0}}$, $F_{K^{*0}}$;

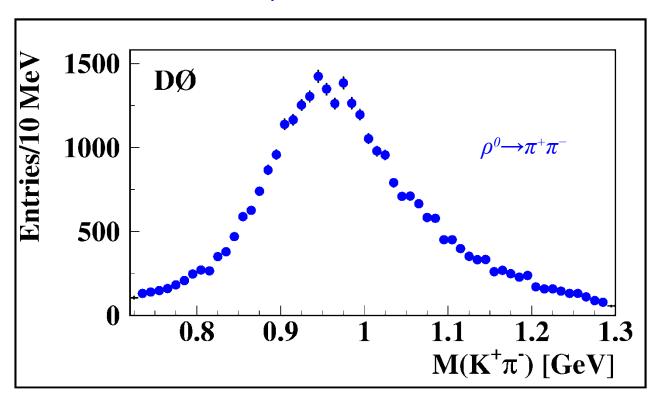






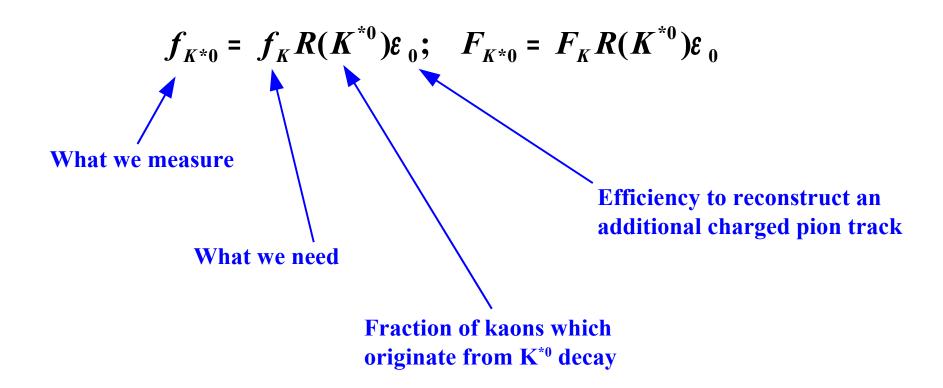
Peaking background contribution

- Decay $\rho^0 \rightarrow \pi^+ \pi^-$ produces a peaking background in the $(K\pi)$ mass, because one pion can be misidentified as a kaon;
- The mass distribution from $\rho^0 \rightarrow \pi^+ \pi^-$ is taken from simulation.





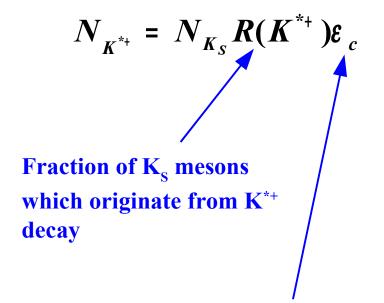
To convert these fractions to f_K , F_K , we need to know the fraction $R(K^{*0})$ of charged kaons from $K^{*0} \to K^+\pi^-$ and the efficiency to reconstruct an additional pion ε_0 :



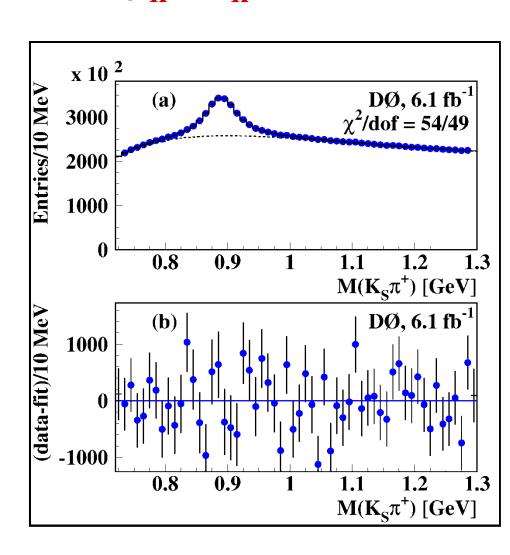


We also select decay $K^{*+} \rightarrow K_S \pi^+$;

We have:



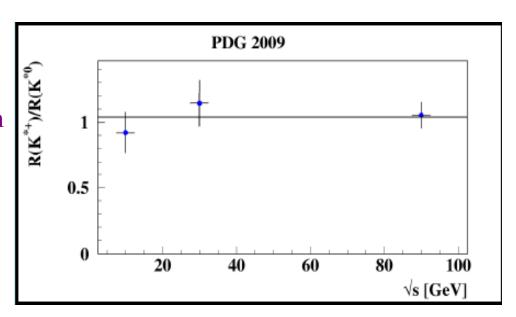
Efficiency to reconstruct an additional charged pion track





$R(K^{*+}) = R(K^{*0})$ due to isospin invariance:

- Verified with the available data on production of K*+ and K*0 in jets at different energies (PDG);
- Also confirmed by simulation;
- Related systematic uncertainty7.5%



 $\varepsilon_0 = \varepsilon_c$ because the same criteria are used to select the pion in

$$K^{*+} \rightarrow K_S \pi^+$$
 and $K^{*\theta} \rightarrow K^+ \pi^-$

- *Verified in simulation;
- Related systematic uncertainty 3%;



With these conditions applied, we obtain f_{K} , F_{K} as:

$$f_{K} = \frac{N(K_{S})}{N(K^{*+})} f_{K^{*0}}$$

$$F_{K} = \frac{N(K_{S})}{N(K^{*+})} F_{K^{*0}}$$

> The same values $N(K_S)$, $N(K^{*+})$ are used to measure f_K , F_K ;

We assume that the fraction $R(K^{*0})$ of charged kaons coming from $K^{*0} \rightarrow K^{+}\pi^{-}$ decay is the same in the inclusive muon and like-sign dimuon sample;

We verified this assumption in simulation;

We assign a 3% systematic uncertainty due to this assumption;

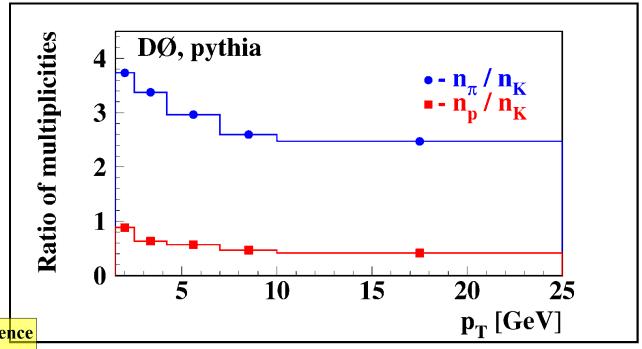


Measurement of f_{π} , f_{p} , F_{π} , F_{p}

$$a_{bkg} = f_k a_k + f_{\pi} a_{\pi} + f_p a_p + (1 - f_{bkg}) \delta$$

$$A_{bkg} = F_k A_k + F_{\pi} A_{\pi} + F_p A_p + (2 - F_{bkg}) \Delta$$

Fractions f_{π} , f_{p} , F_{π} , F_{p} are obtained using f_{K} and F_{K} with an additional input from simulation on the ratio of multiplicities $\mathbf{n}_{\pi}/\mathbf{n}_{K}$ and $\mathbf{n}_{p}/\mathbf{n}_{K}$:





Measurement of f_{π} , F_{π}

- We use as an input:
 - > Measured fractions f_K , F_K ;
 - Ratio of multiplicities of pion and kaon n_{π}/n_{K} in QCD events taken from simulation;
 - Ratio of multiplicities of pion and kaon N_{π}/N_{K} in QCD events with one additional muon taken from simulation;
 - Ratio of probabilities for charged pion and kaon to be identified as a muon: $P(\pi \rightarrow \mu)/P(K \rightarrow \mu)$;
 - Systematic uncertainty due to multiplicities: 4%
- We obtain f_{π} , F_{π} as:

$$f_{\pi} = f_{K} \frac{P(\pi \rightarrow \mu)}{P(K \rightarrow \mu)} \frac{n_{\pi}}{n_{K}}$$

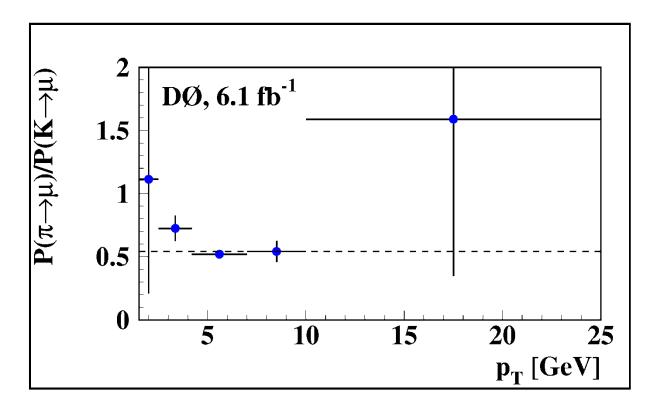
$$F_{\pi} = F_{K} \frac{P(\pi \rightarrow \mu)}{P(K \rightarrow \mu)} \frac{N_{\pi}}{N_{K}}$$



Measurement of $P(\pi \rightarrow \mu)/P(K \rightarrow \mu)$

The ratio of these probabilities is measured using decays $K_S \to \pi^+ \pi^-$ and $\phi(1020) \to K^+ K^-$;

• We obtain: $P(\pi \to \mu)/P(K \to \mu) = 0.540 \pm 0.029$





Summary of Background Composition

$$f_{\text{bkg}} = f_K + f_\pi + f_p$$

We get the following background fractions in the inclusive muon sample:

	$(1-f_{bkg})$	f_{K}	f_{π}	f_p
MC	(59.0±0.3)%	(14.5±0.2)%	(25.7±0.3)%	$(0.8\pm0.1)\%$
Data	(58.1±1.4)%	(15.5±0.2)%	(25.9±1.4)%	$(0.7\pm0.2)\%$

- Uncertainties for both data and simulation are statistical only;
- Simulation fractions are given as a cross-check only, and are not used in the analysis;
- Good agreement is found between data and simulation, within the systematic uncertainties assigned;
- > Fractions for same-sign dimuon sample are extracted similarly.