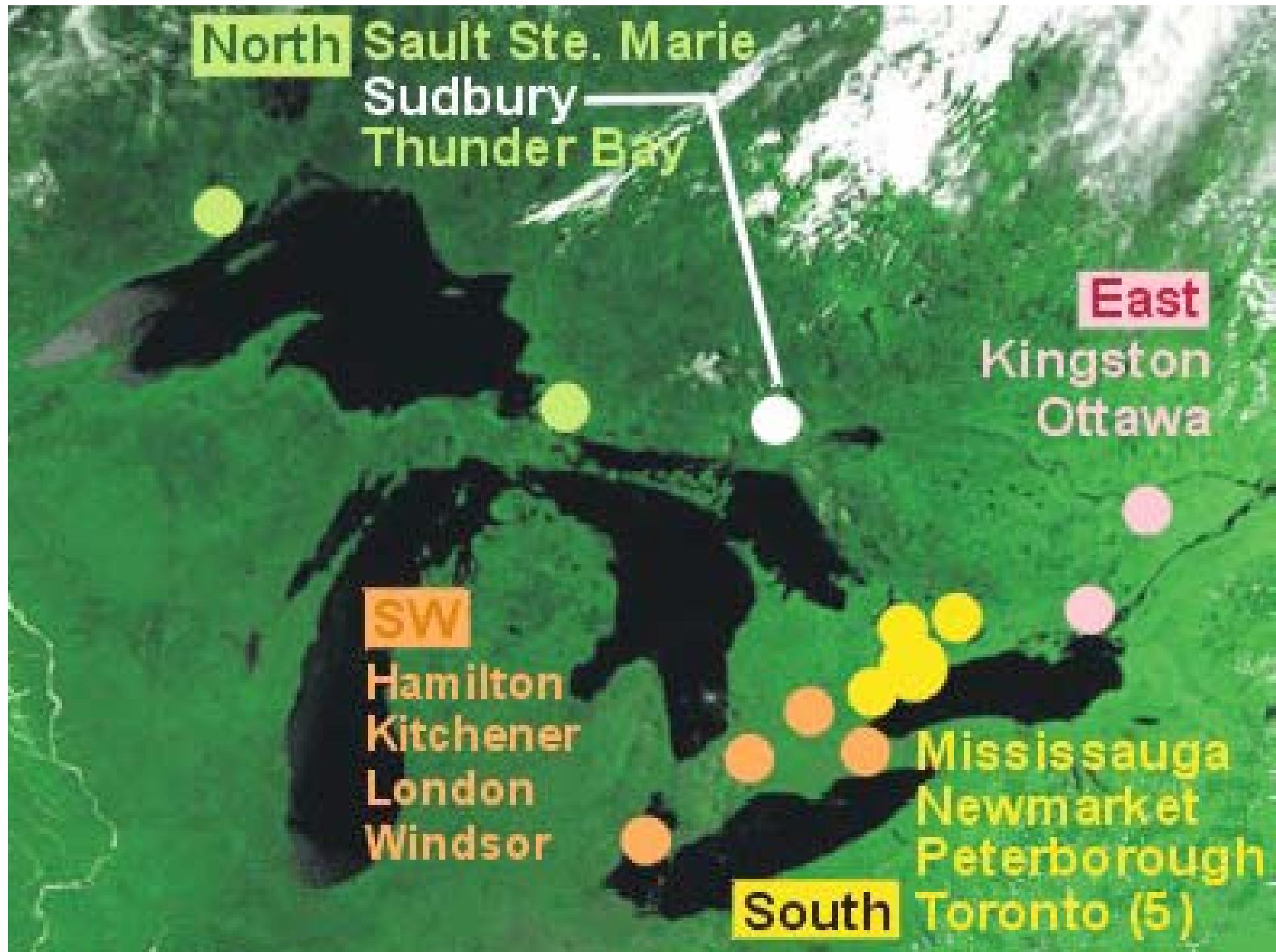


Low Energy Threshold Analysis of SNO Data

S. Biller, Oxford University







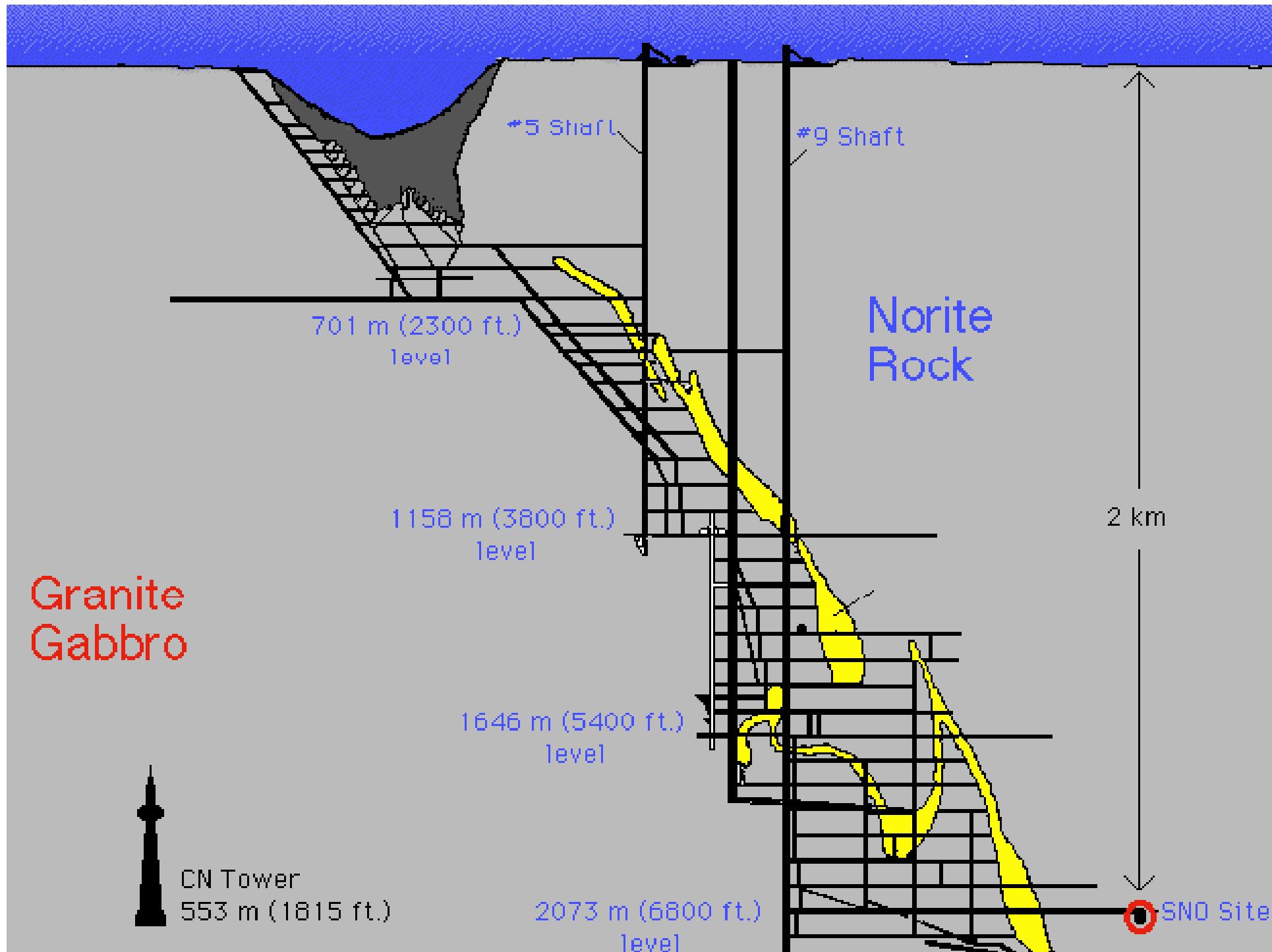


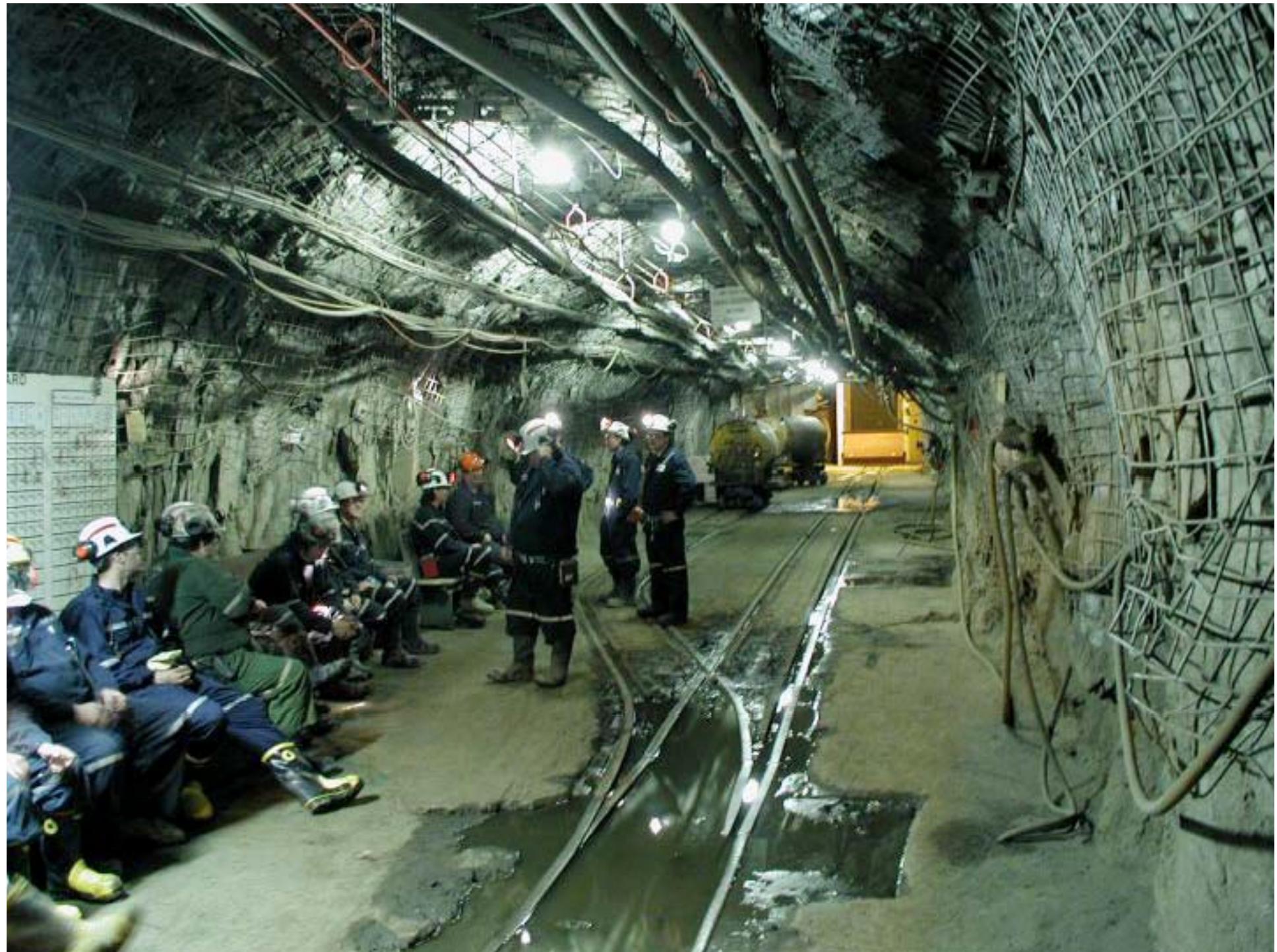


Coffee



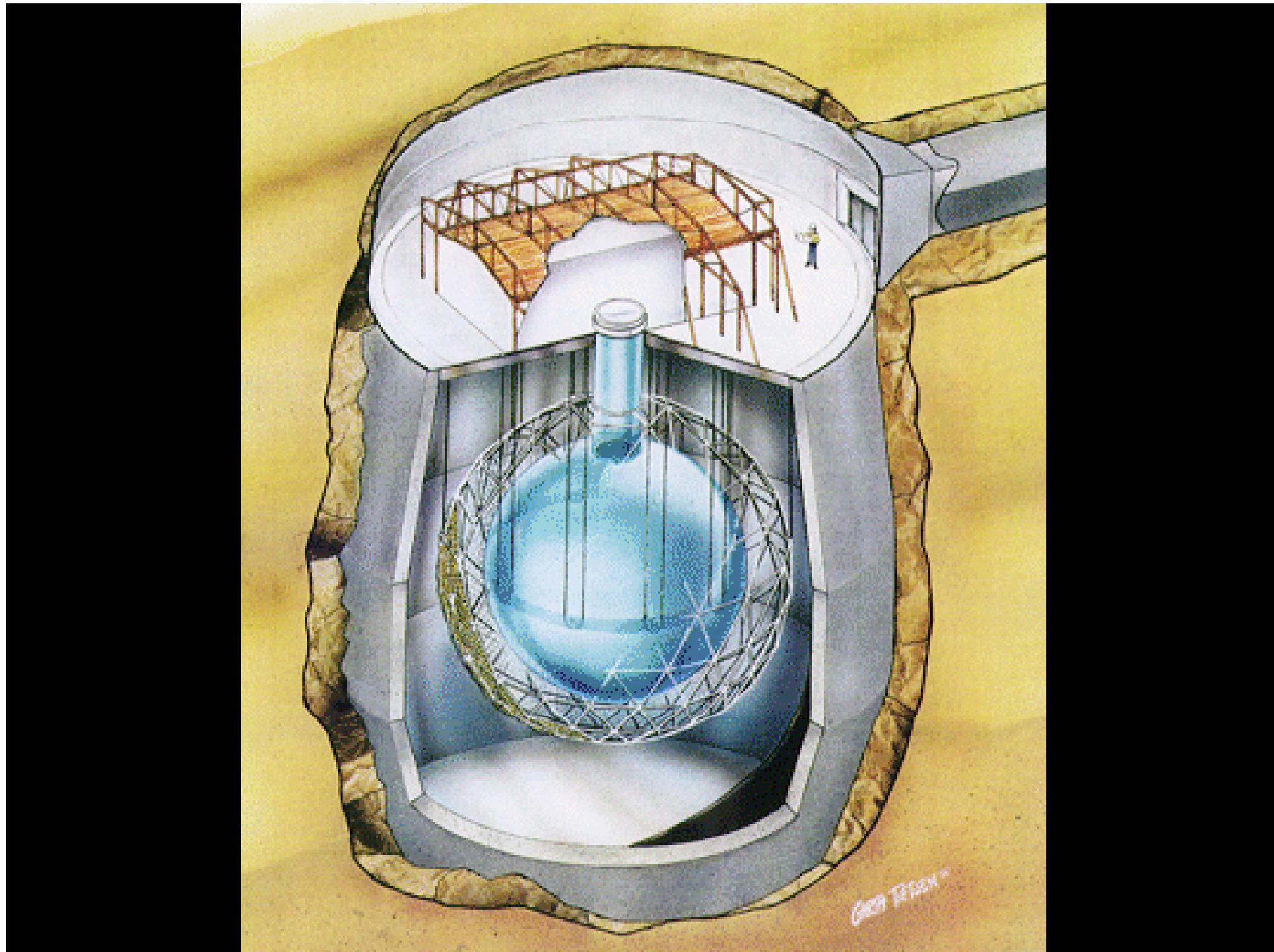


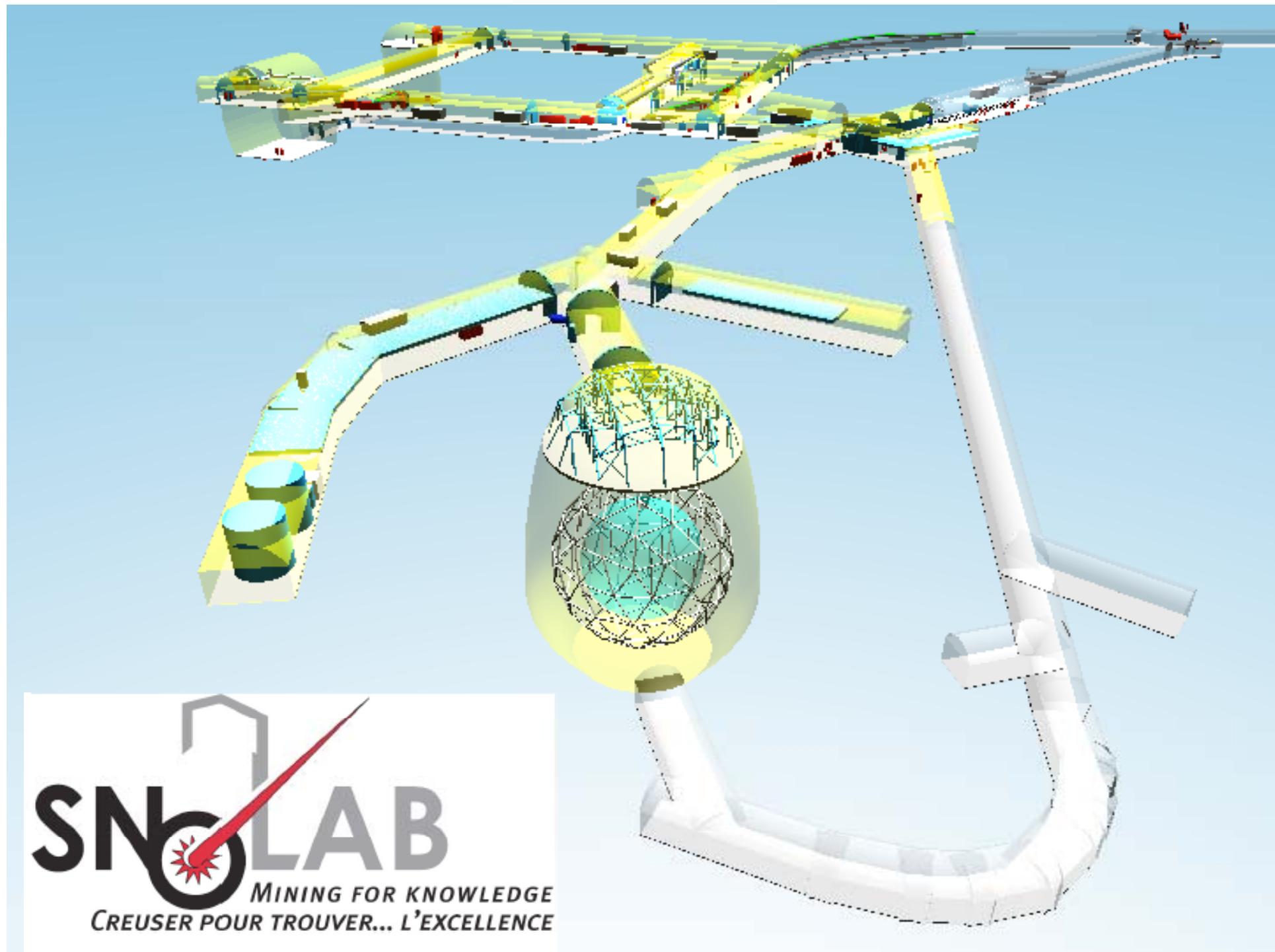




A photograph of a man with his hands on his hips, wearing a yellow jacket over a white shirt. He is positioned in front of a large, complex scientific detector, likely the Sudbury Neutrino Observatory (SNO). The detector consists of a massive spherical structure made of blue tiles, surrounded by various pipes and equipment. Several people are visible near the base of the detector.

Dr.
SNO

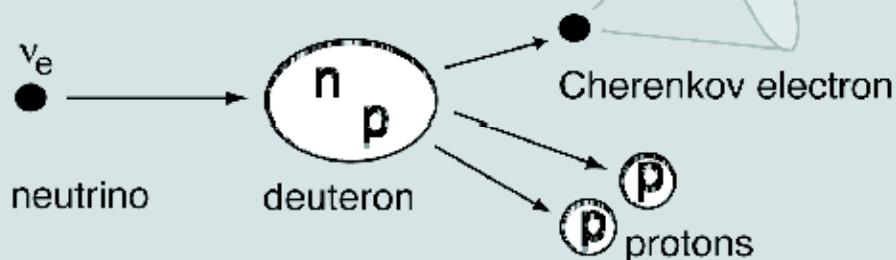




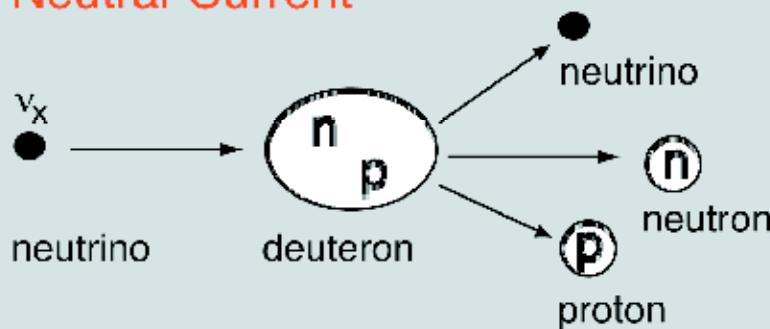
SNOLAB
MINING FOR KNOWLEDGE
CREUSER POUR TROUVER... L'EXCELLENCE

Neutrino Reactions on Deuterium

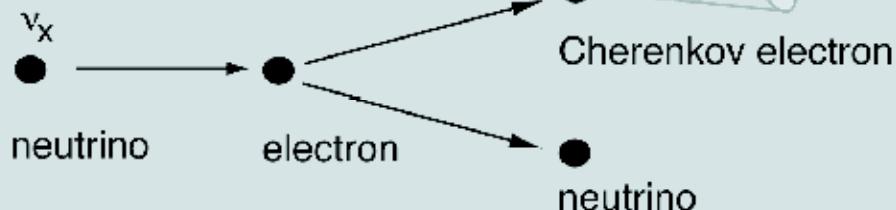
Charged-Current



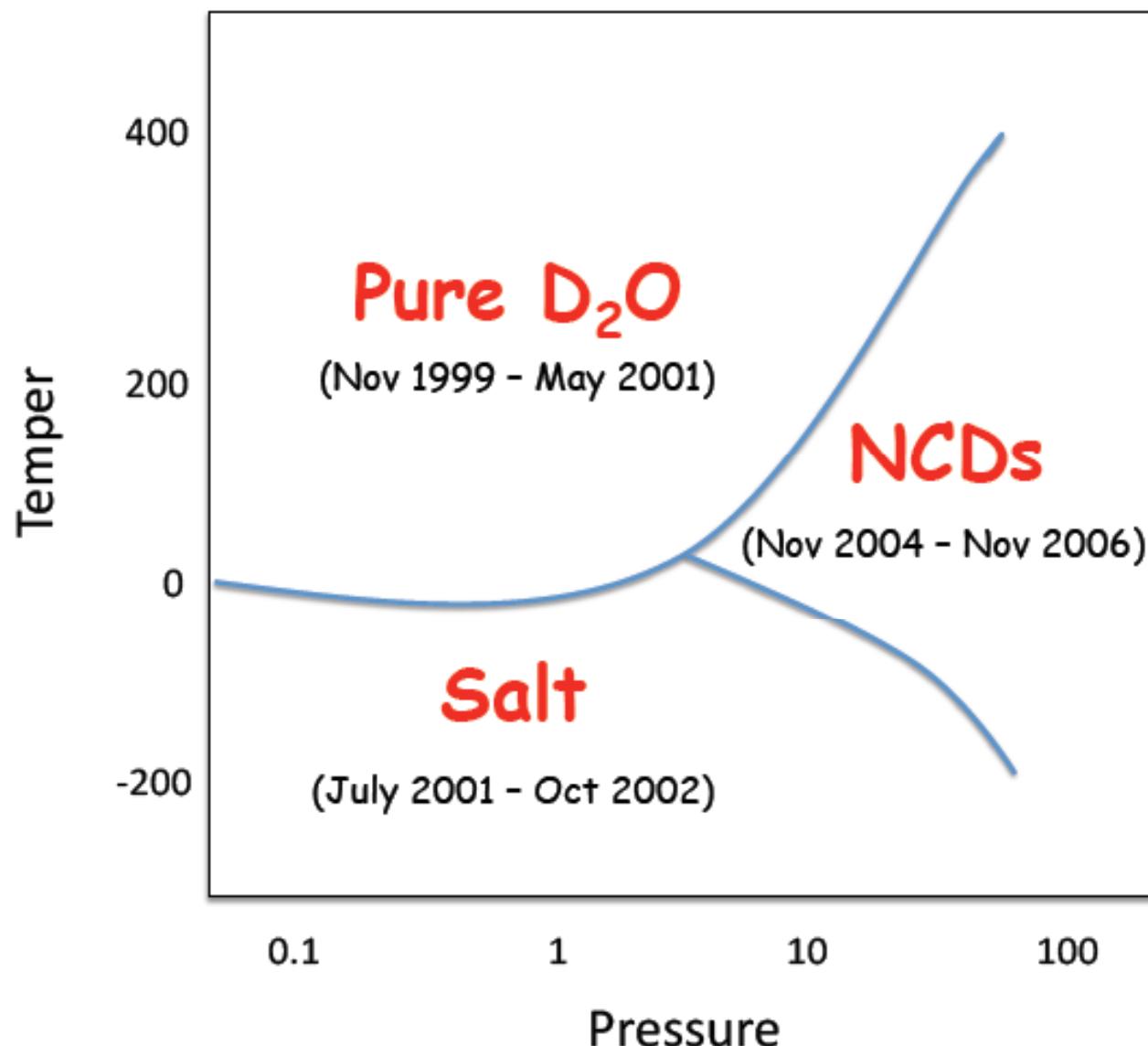
Neutral-Current



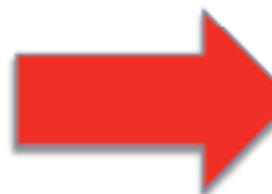
Elastic Scattering



Phases of SNO:



How Do You Do Better?



Do It Again!

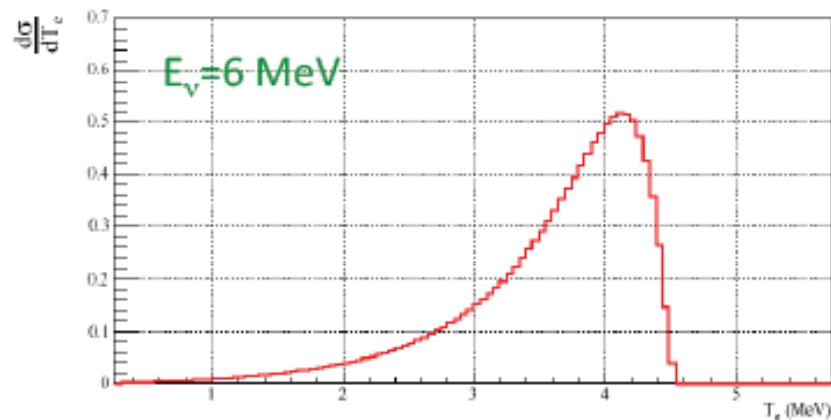
D₂O and Salt phases had the lowest analysis energy thresholds, best spectral information and simplest detector configurations (good place to start):

- Do a more careful combined signal extraction from these phases
- Lower analysis energy threshold as much as possible
- Take more time to understand and reduce systematic uncertainties
- Put more effort into modeling low energy backgrounds
- Take advantage of recent improvements in algorithms and simulations
- Pay closer attention to propagation of correlated uncertainties

Advantages of Low Threshold Analysis

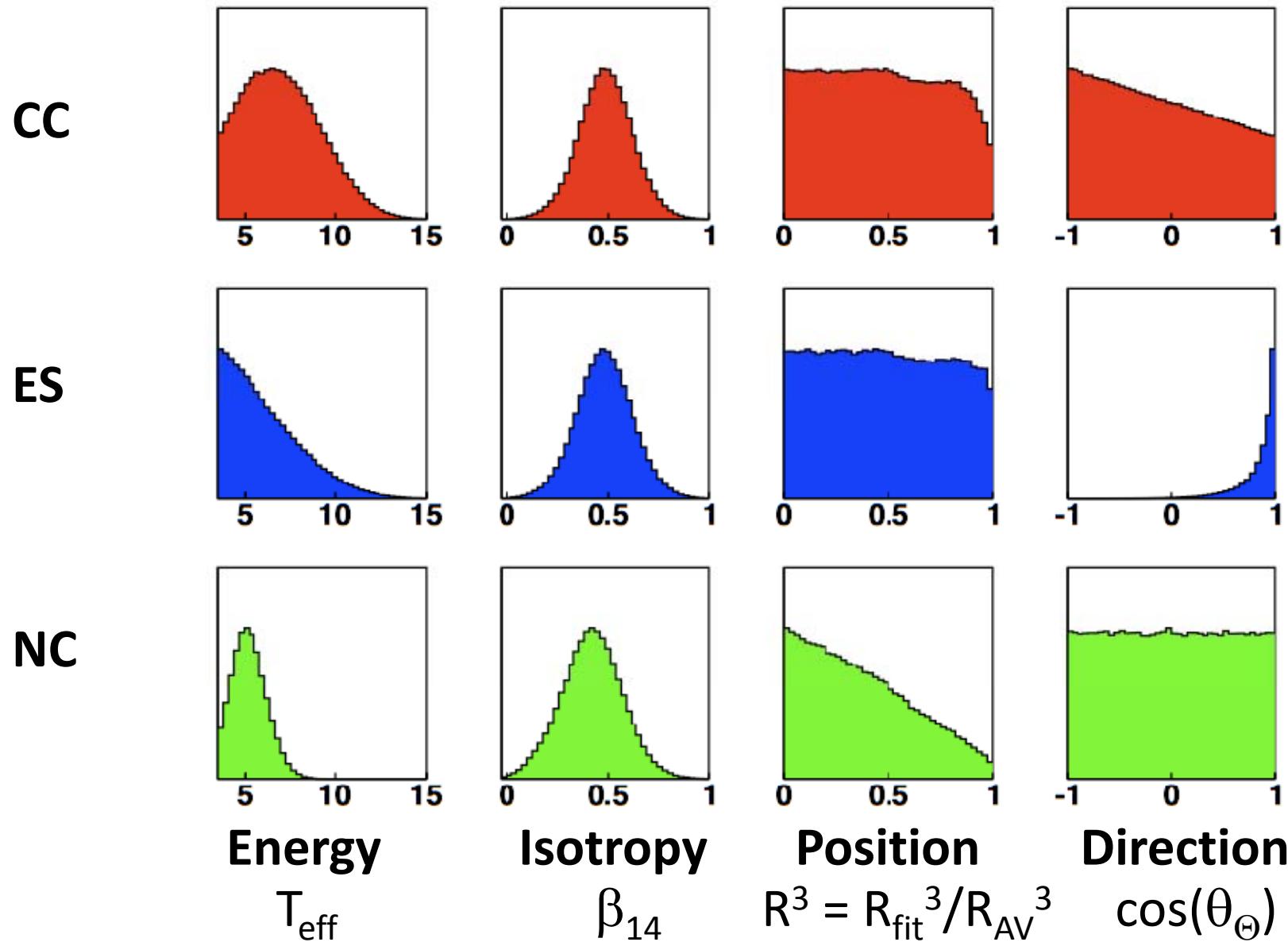
➤ ν_e Statistics

Charged Current Electrons

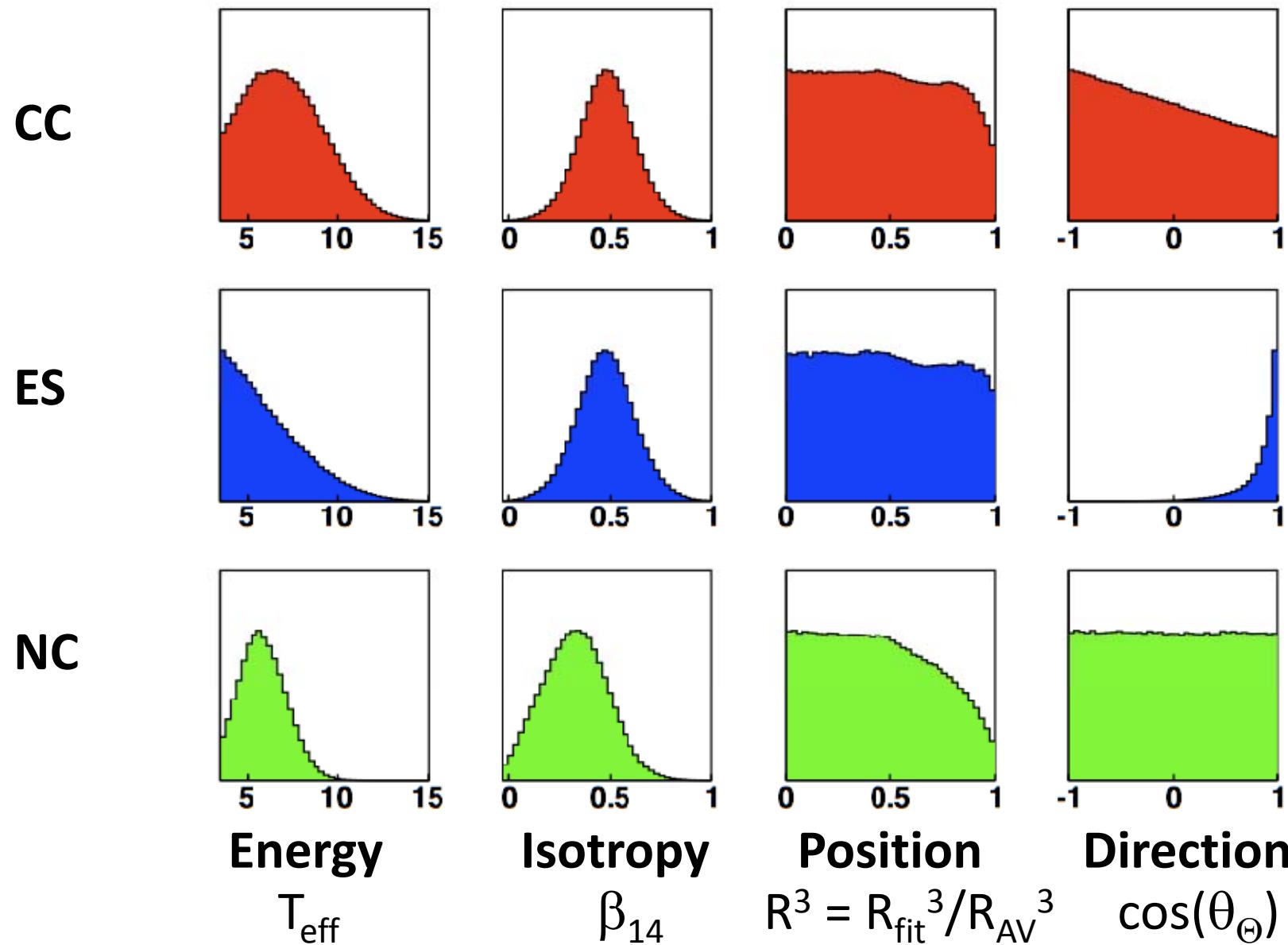


Getting There:

Event Separation: D₂O



Event Separation: Salt

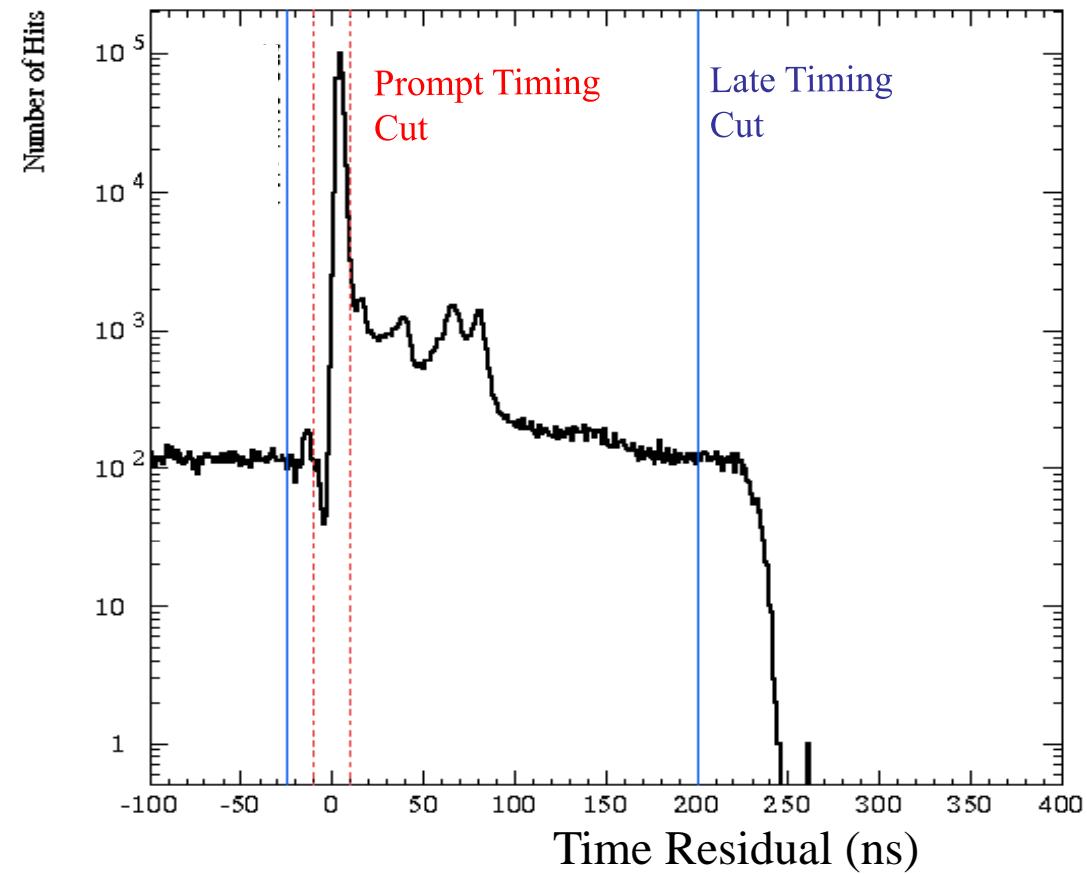
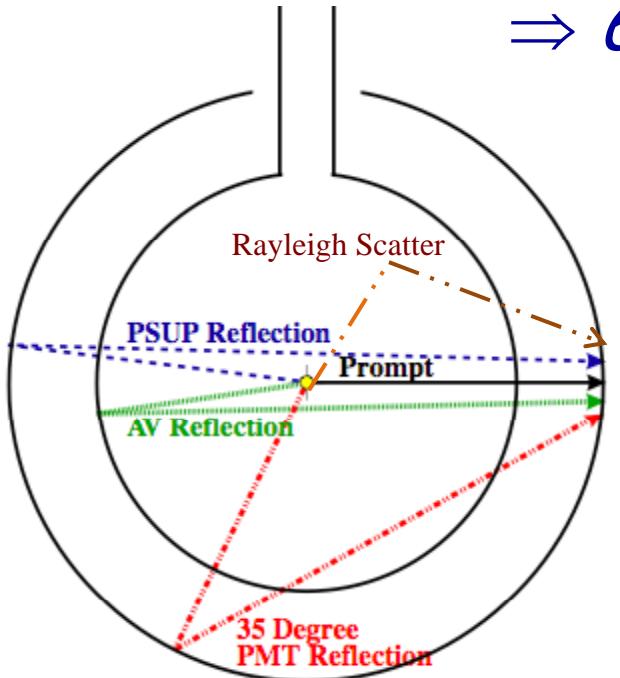


Improved Energy Estimator

Uses all hits: 12% more

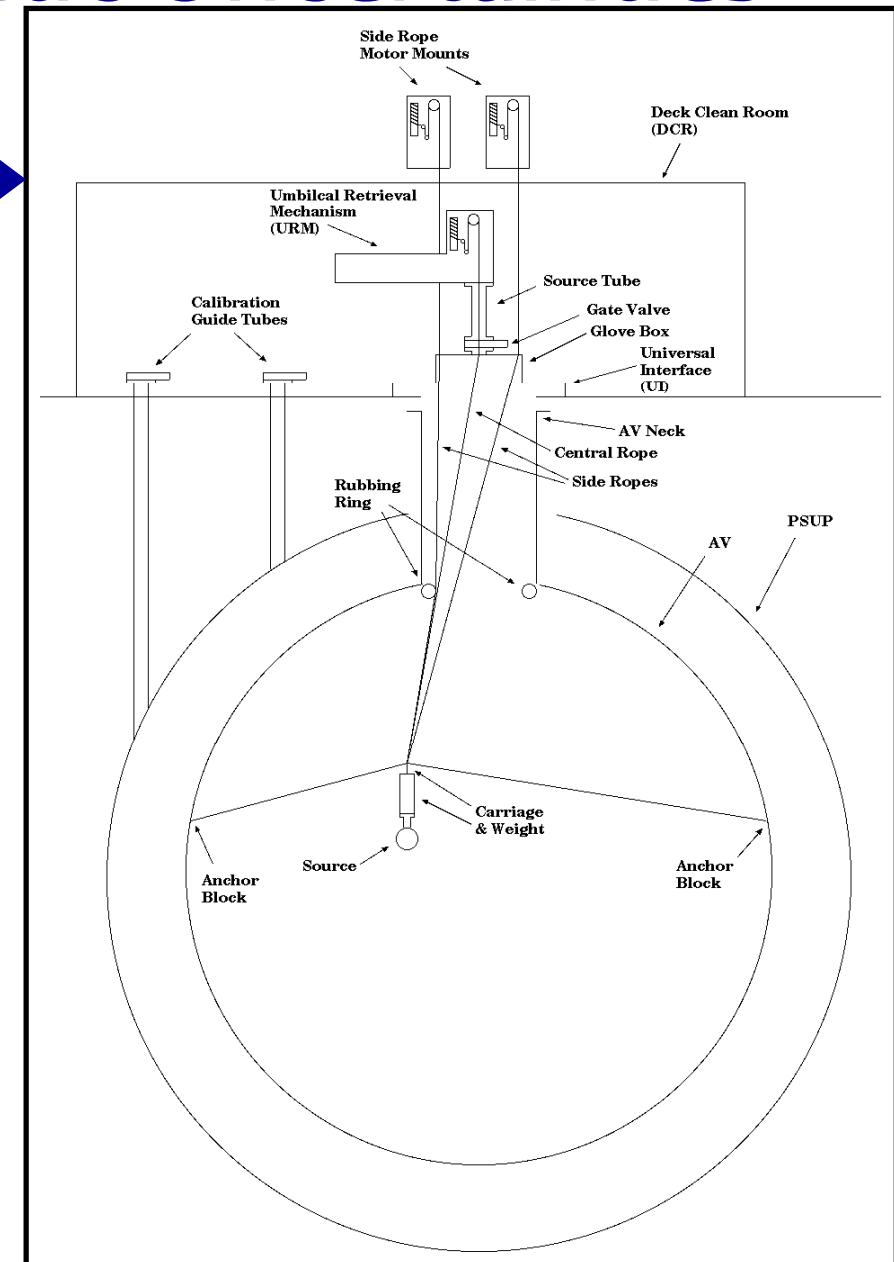
⇒ 6% improvement in resolution

⇒ 60% reduction of internal backgrounds



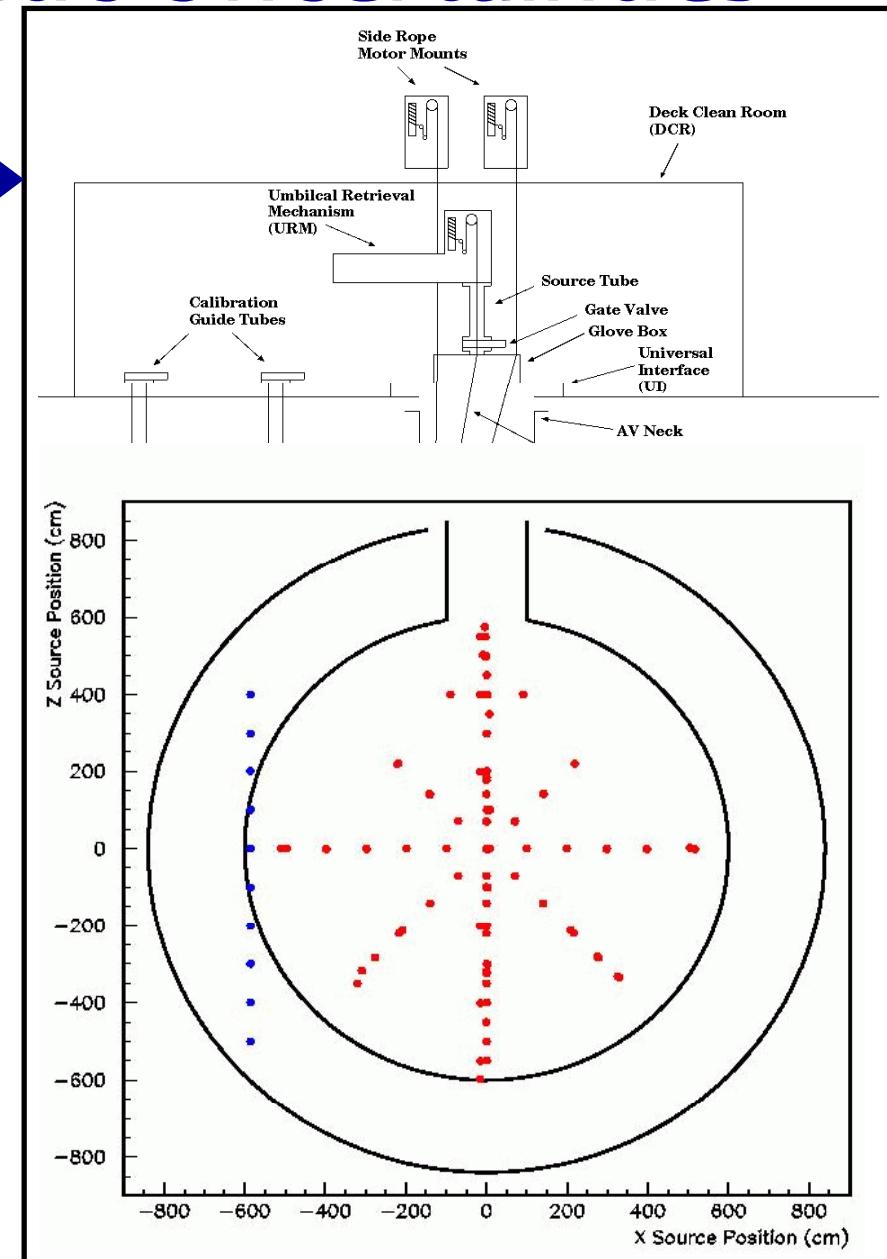
5) Reduce Systematic Uncertainties

Manipulator system allows
flexible source placement



5) Reduce Systematic Uncertainties

Manipulator system allows
flexible source placement

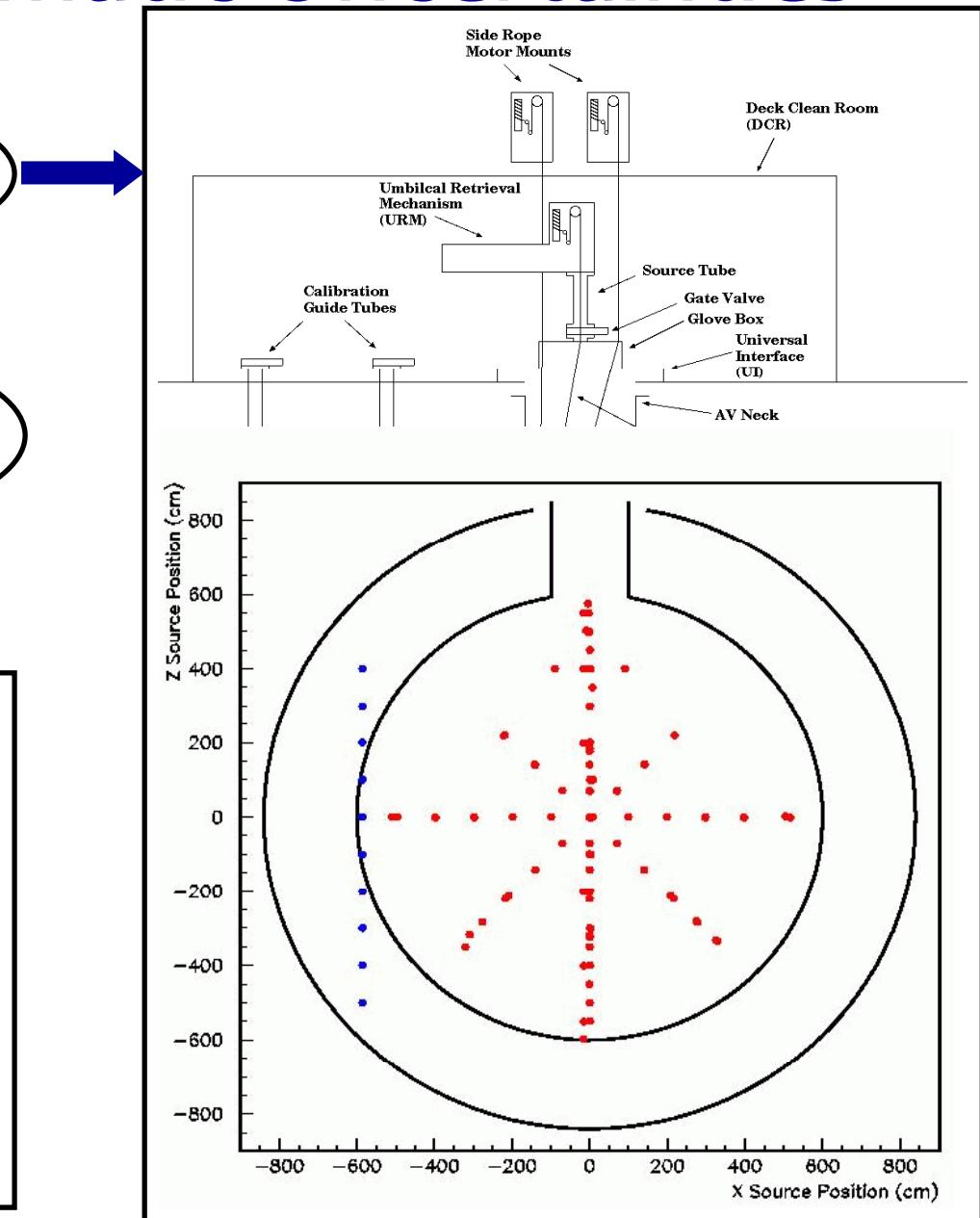


5) Reduce Systematic Uncertainties

Manipulator system allows flexible source placement

Better use of diverse calibration sources

^{16}N → 6.13MeV γ s
 pT → 19.8MeV γ s
 ^8Li → β s < 15MeV
 Cf, AmBe ns, → n captures
Muon-spallation neutrons
Encapsulated U, Th; Rn spikes
Diffusing laser source



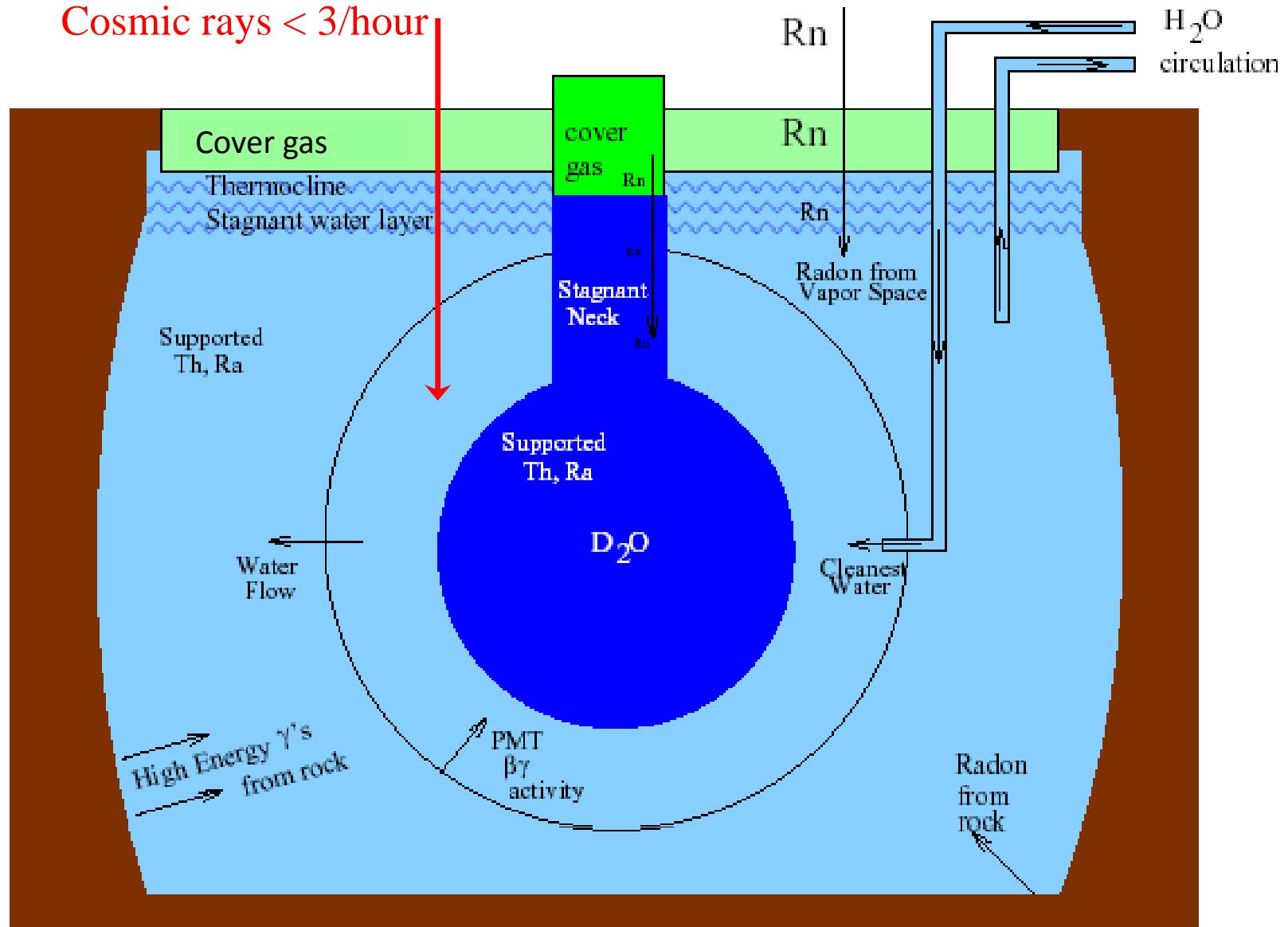
5) Reduce Systematic Uncertainties

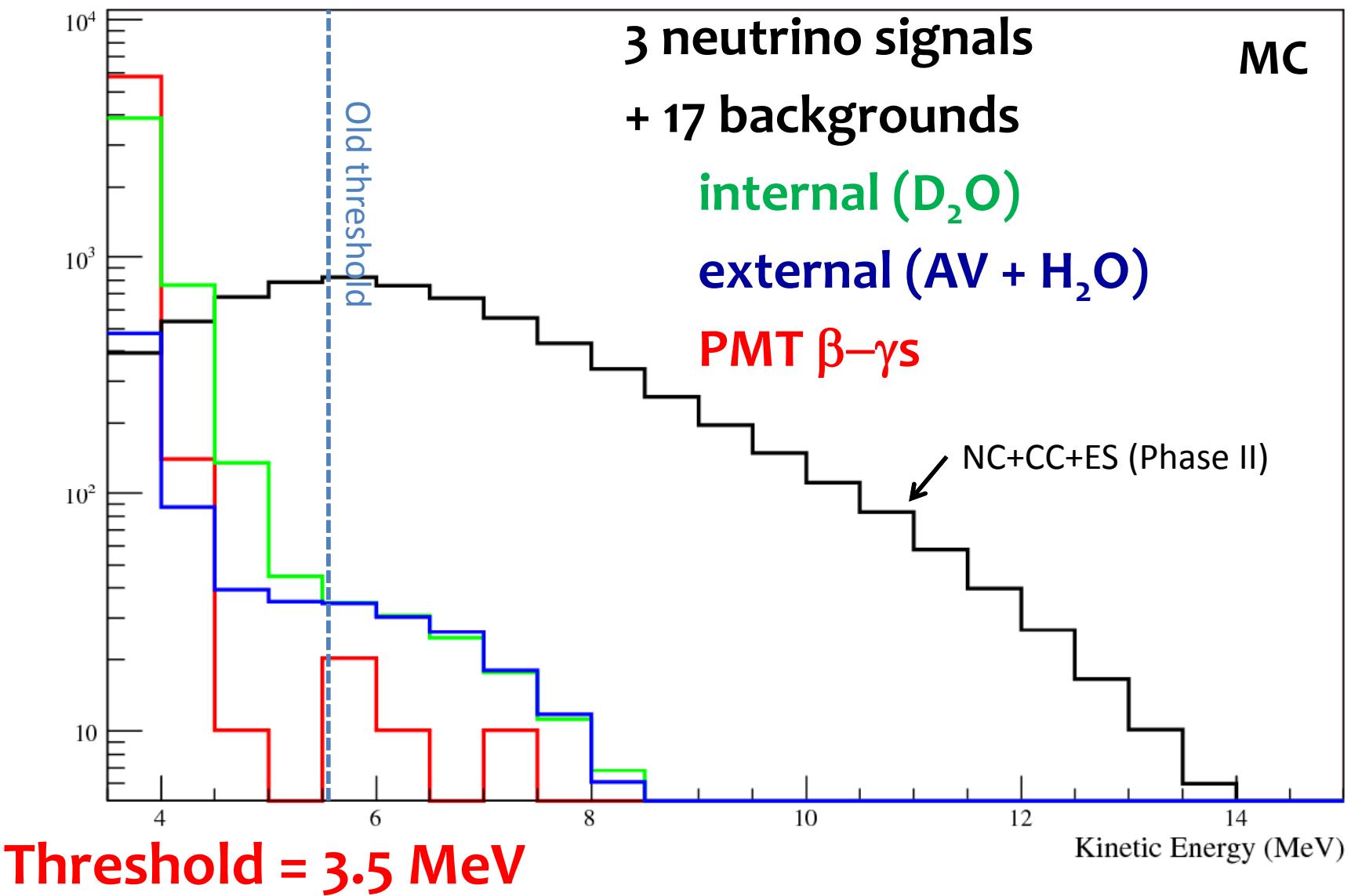
Energy
β_{14}
R^3
$\cos \theta_{\text{sun}}$
“Contamination”
Normalization (neutrons, others)
PMT β - γ distributions

Old (D ₂ O,salt)	New
Scale: 1.2%	< 0.5%
Resn: 4.5, 3.4%	< 2%
Electron: 0.85%	0.24 %
Fid Vol: 3%	< 1%
Ang Resn: 16%	11%
Ncap: >2%	1.2%

3) Radioactive Backgrounds

Cosmic rays < 3/hour





Ideal (and correct!) Way To Propagate Uncertainties:

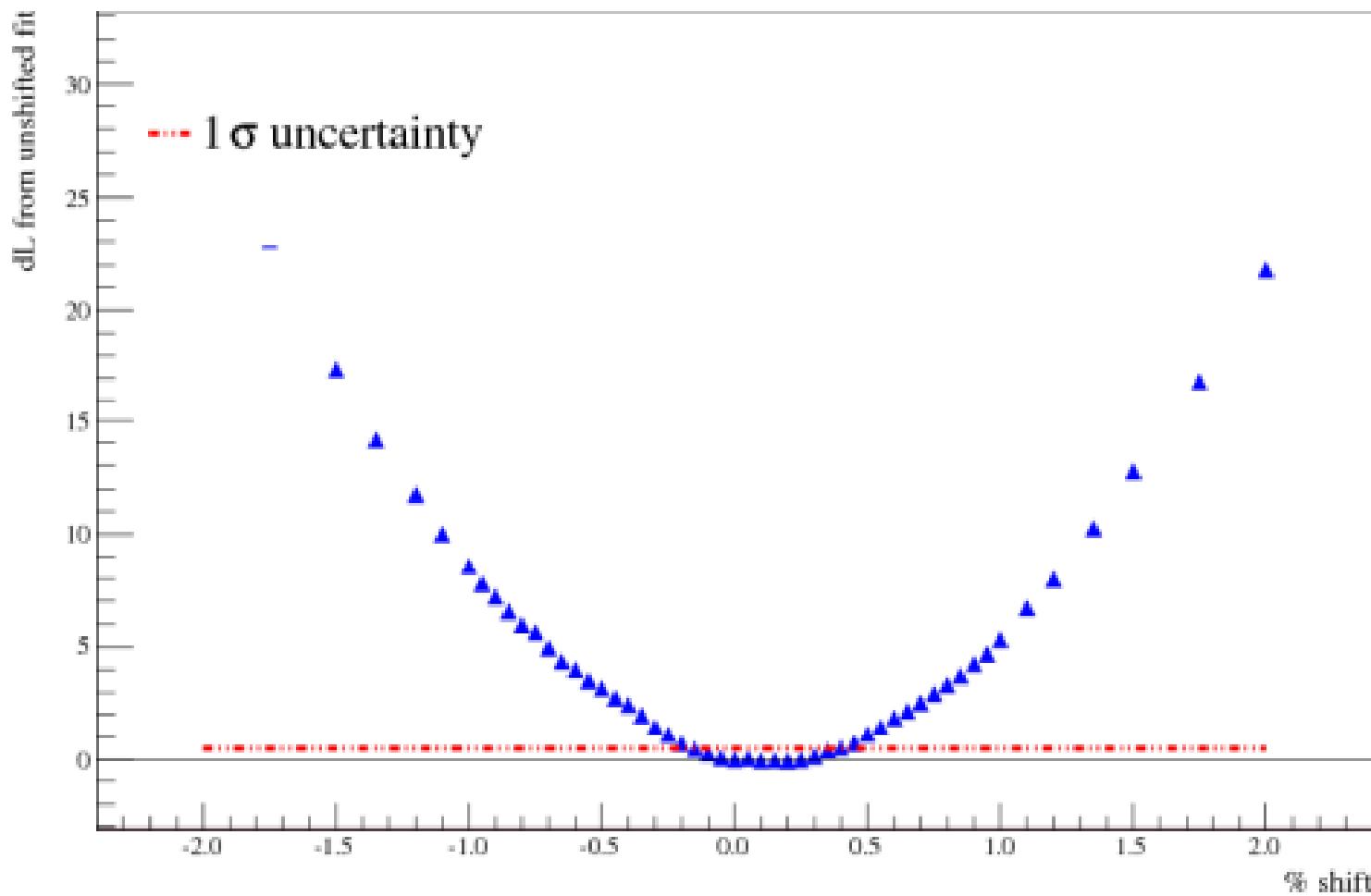
"Float" uncertainties as variable parameters in Likelihood fit, appropriately constrained by any independently determined bounds.

In 4 dimensions with >50 parameters
and limited MC statistics for PDFs ?!



Two Approaches:

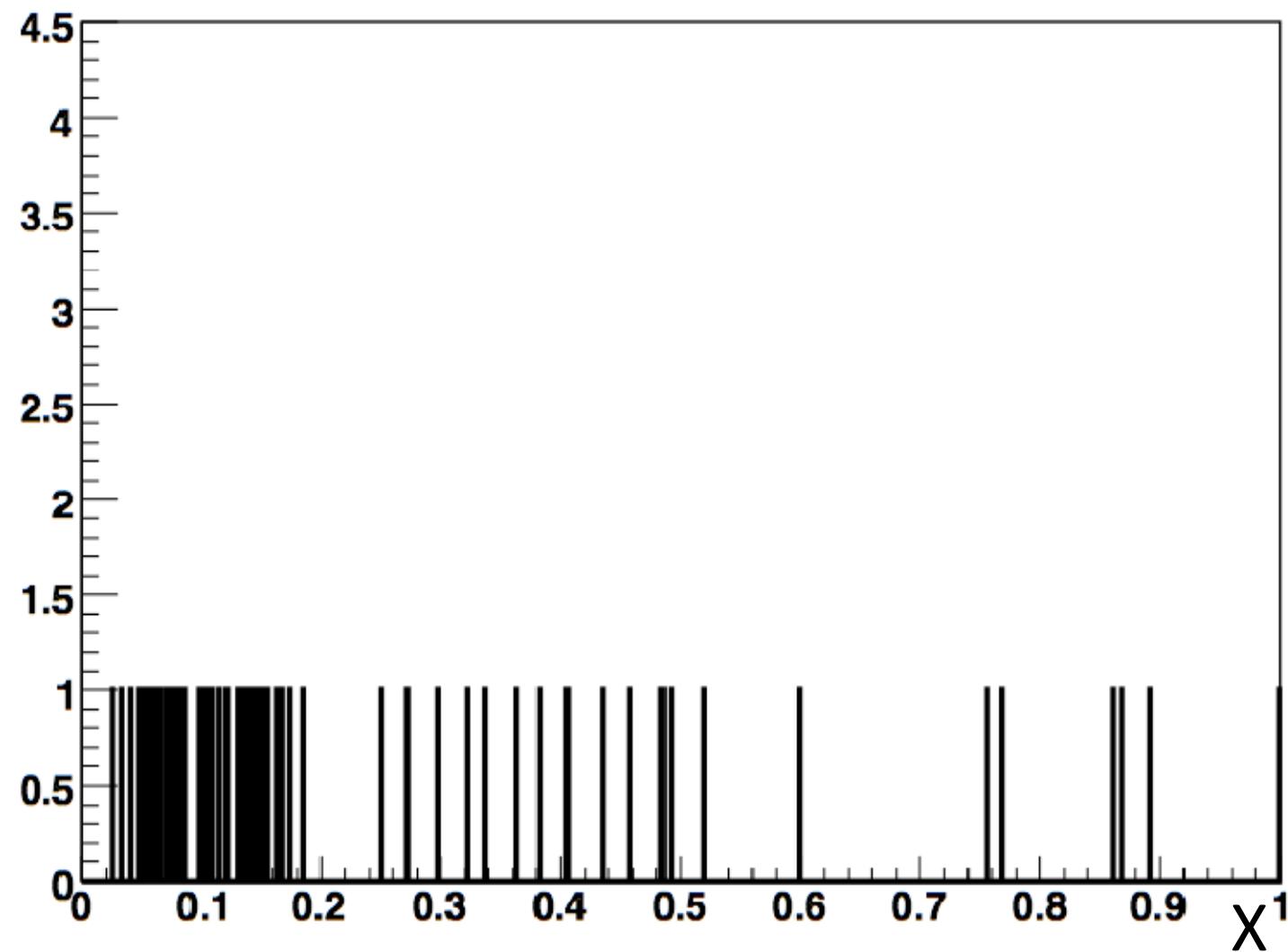
1) Float Dominant Systematics via a "Brute Force" Iterative Scan of the Likelihood Space (shift & smear the rest)



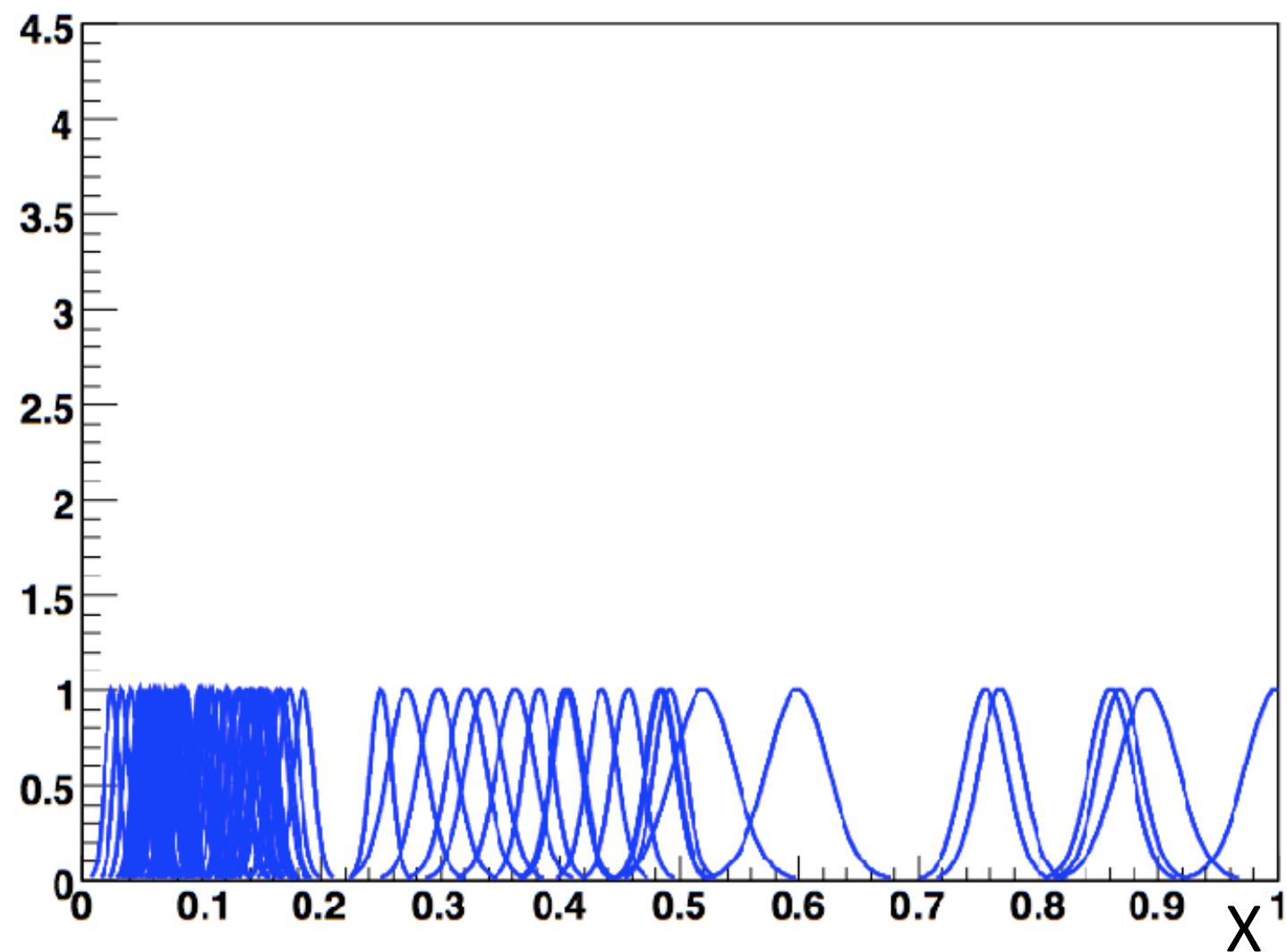
Kernel
2) ~~Colonel~~ Estimated PDFs



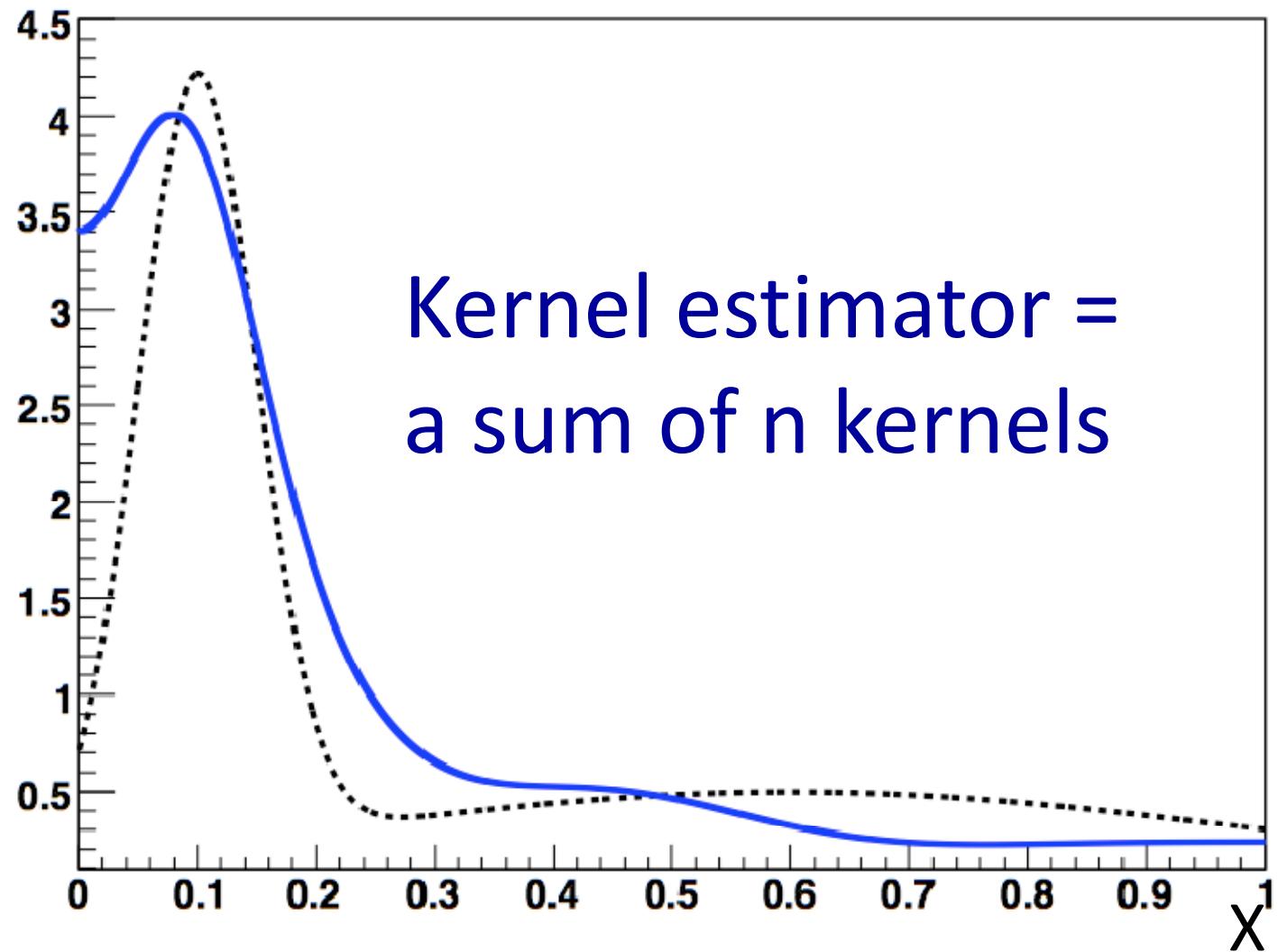
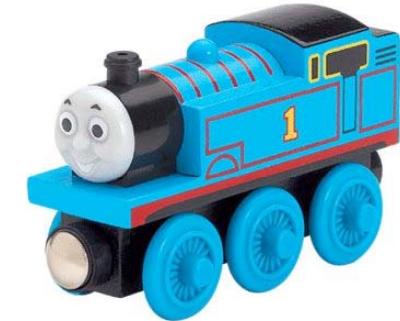
1-D toy model



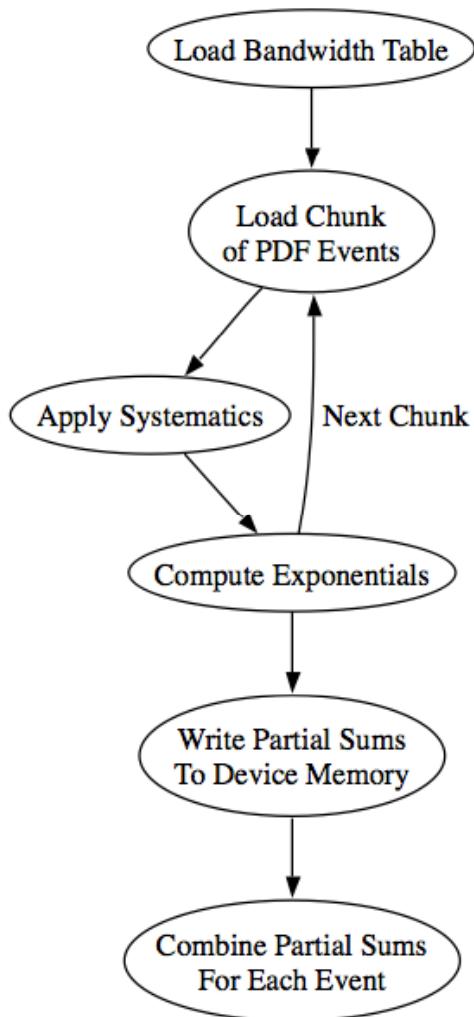
1-D toy model



1-D toy model



Approach is very (prohibitively) CPU intensive
... so don't use CPUs!!





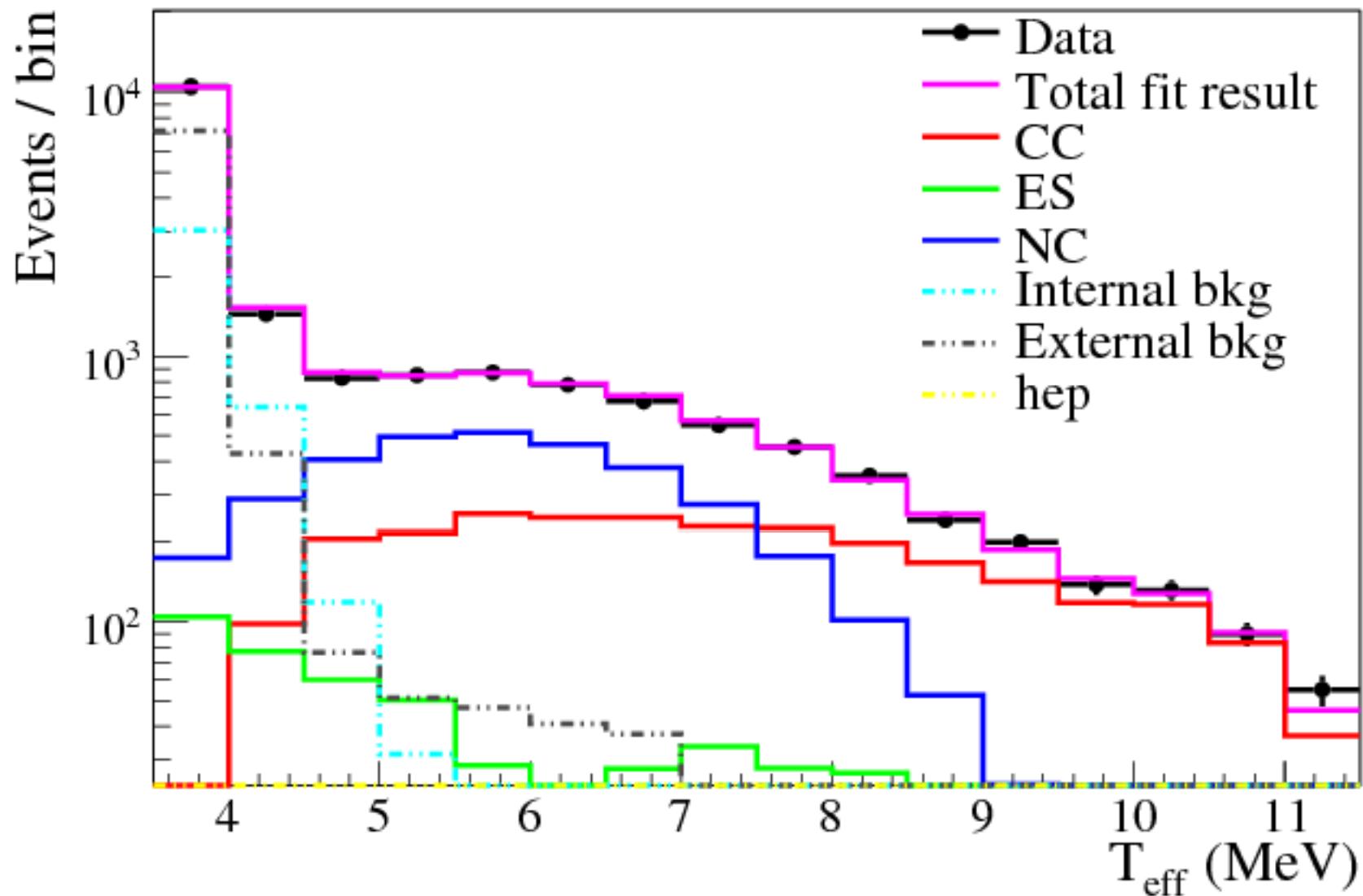
Blindness Strategy:

- 1) Test both methods on many, independent MC sets
- 2) Test both methods on 1/3 of data (statistical blindness)
- 3) Freeze and apply to full data set.

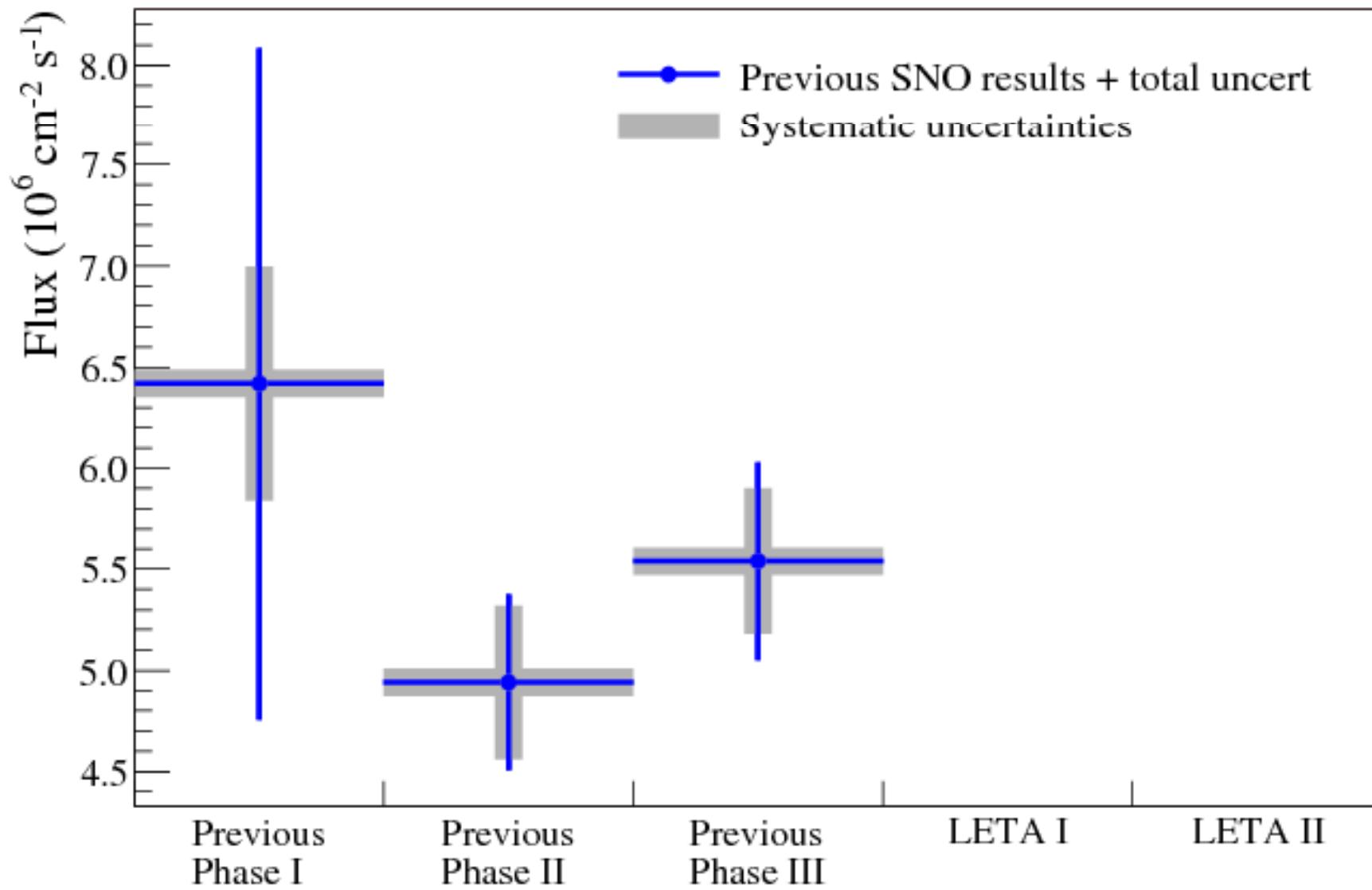
Results!

$$\chi^2 = 13.6 / 16$$

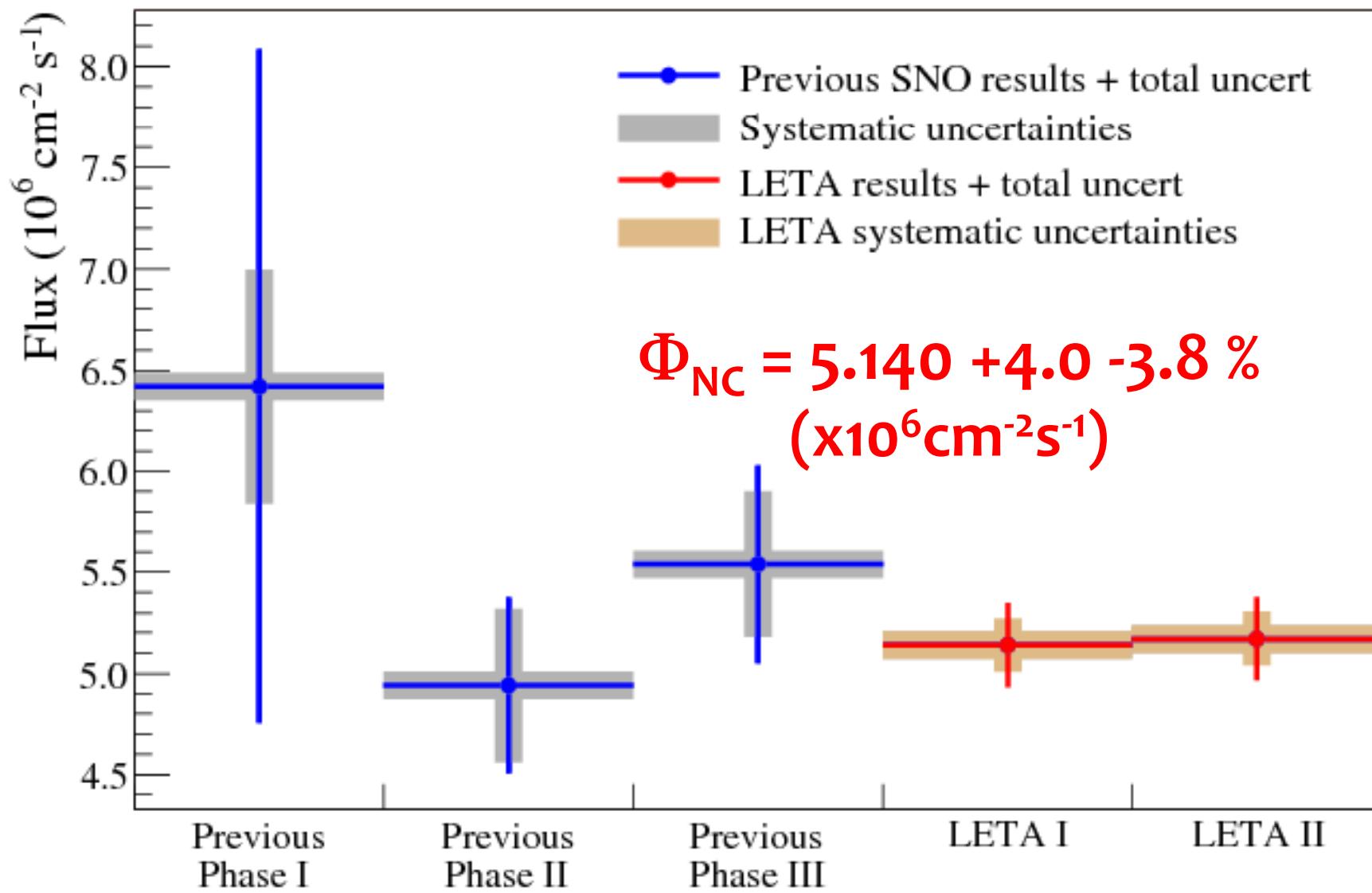
Fit Result



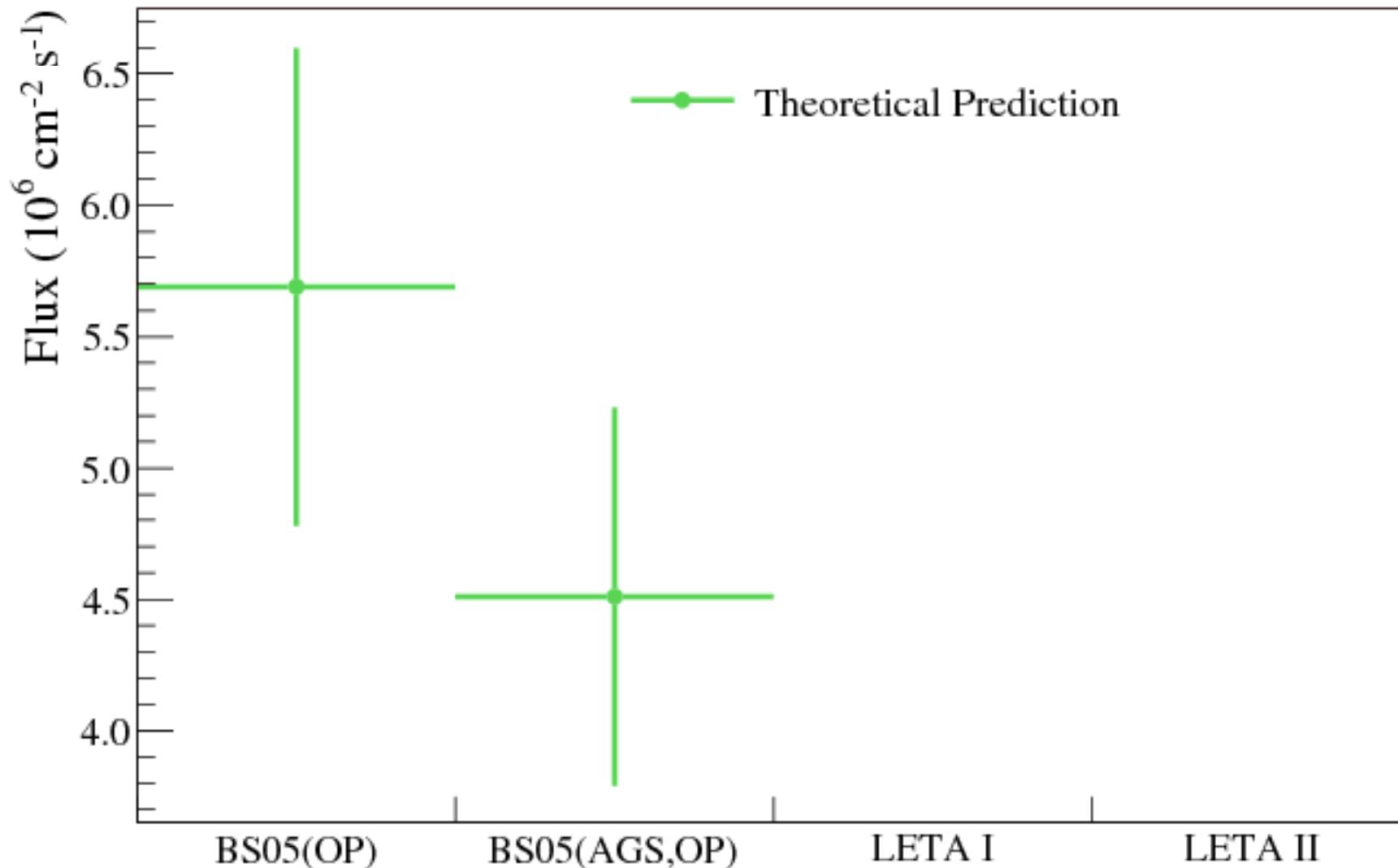
${}^8\text{B}$ Flux Result



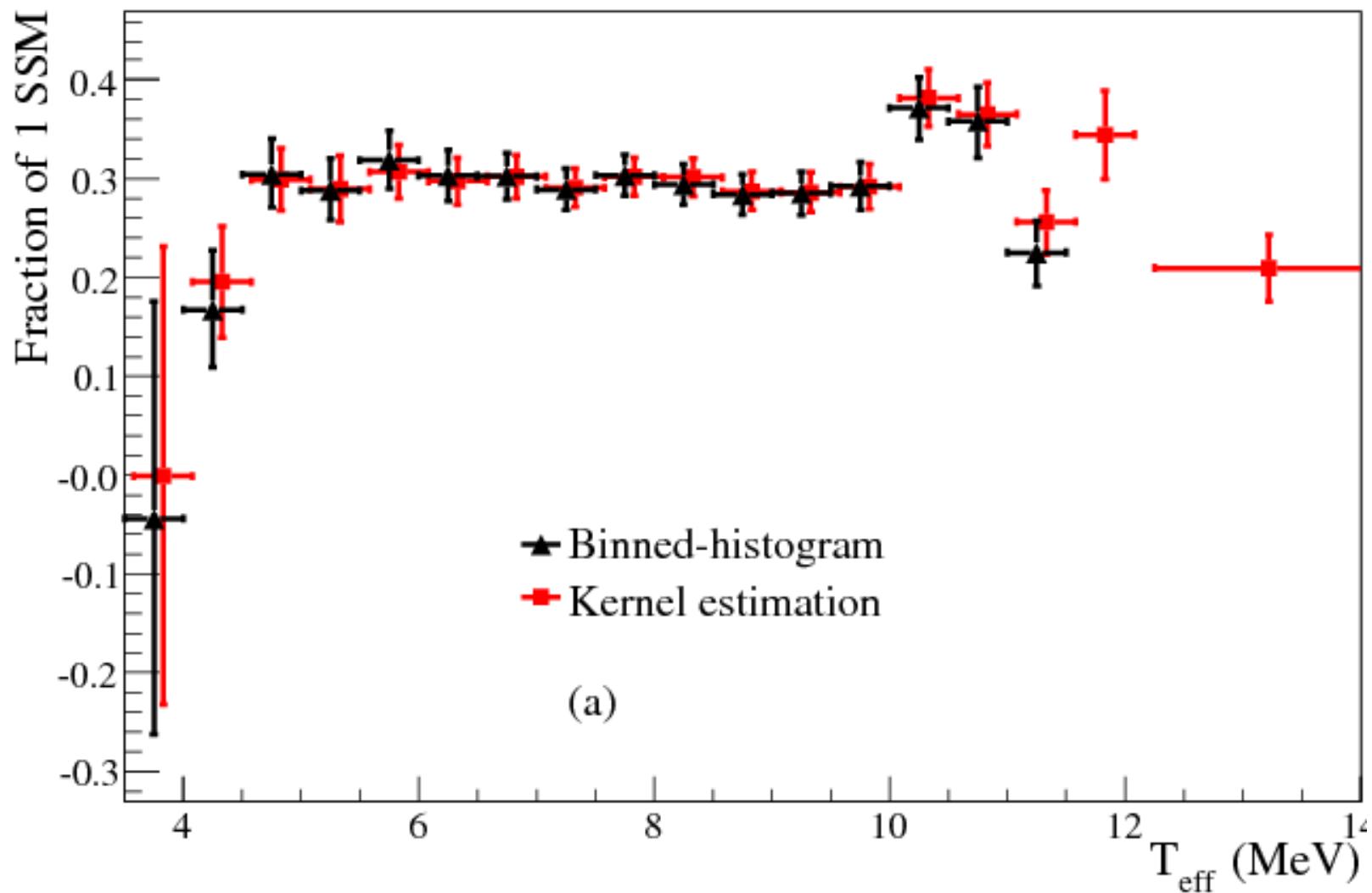
${}^8\text{B}$ Flux Result



${}^8\text{B}$ Flux Result

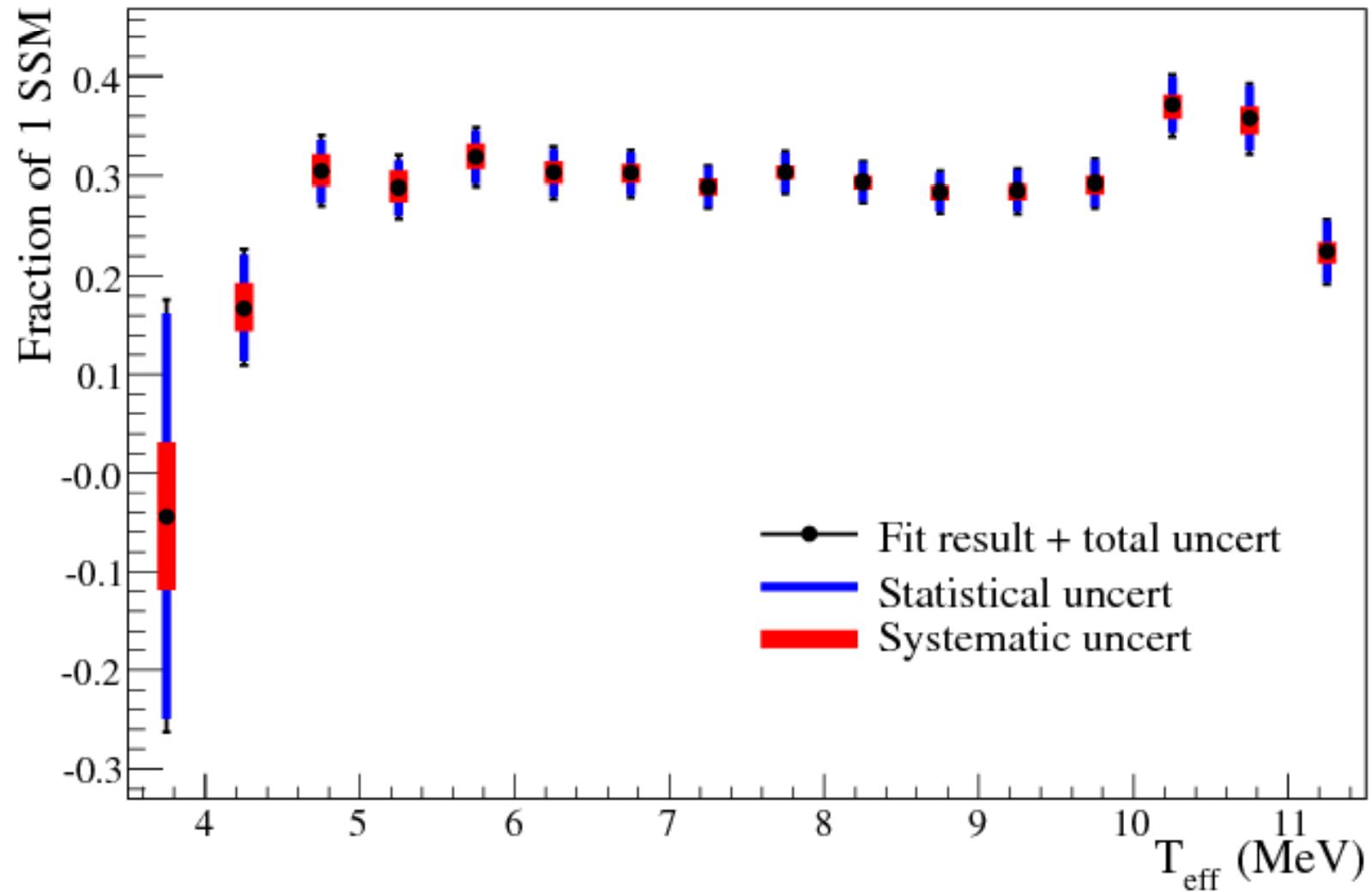


CC Recoil-Electron Spectrum

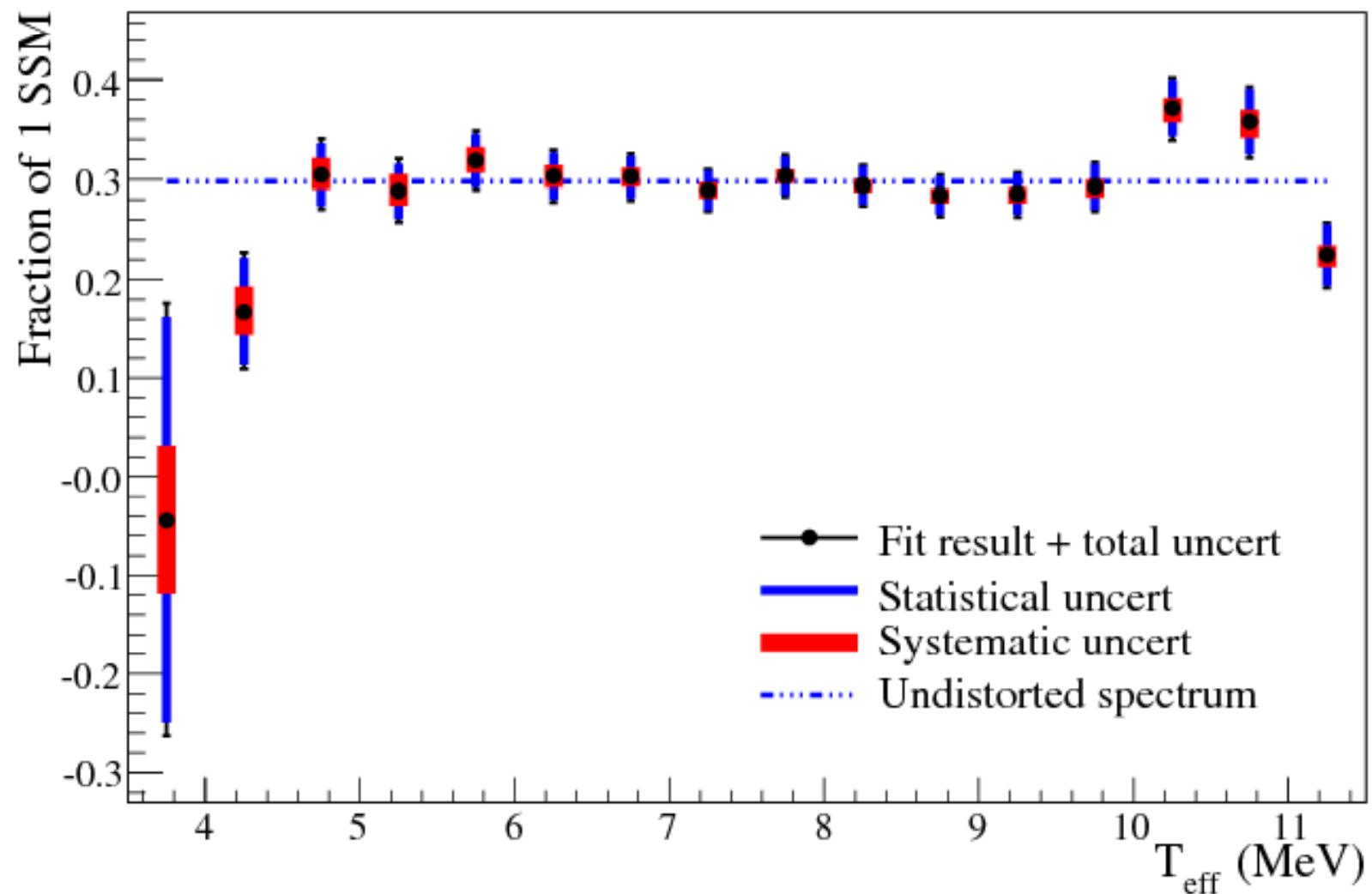


Systematic	Phase	Effect on rate /%						Phase	Effect on rate /%					
		Systematic		Phase		Effect on rate /%								
						NC	CC1	CC12	ESO	NC	CC1	CC12	ESO	
Angular resn (+)	I									I	0.397	-0.277	-1.735	0.378
Angular resn (-)	I									I	-0.230	0.119	1.027	-0.233
Angular resn (+)	II	T_{eff} scale (+)	I, II	-0.293	-2.037	-2.144	-0.156			II	-0.698	0.794	-1.144	0.322
Angular resn (-)	II	T_{eff} scale (-)	I, II	0.137	0.475	0.913	0.035			II	0.825	-0.994	1.376	-0.389
Axial scale (+)	I	T_{eff} scale (+)	I	0.030	-0.956	-0.337	-0.148			I, II	-0.357	-0.519	-0.434	-0.451
Axial scale (-)	I	T_{eff} scale (-)	I	-0.084	1.650	0.652	0.236			I, II	1.039	1.299	1.136	1.171
Axial scale (+)	II	T_{eff} scale (+)	II	-0.307	0.317	-1.094	0.105			I, II	0.183	-0.100	0.004	-0.023
Axial scale (-)	II	T_{eff} scale (-)	II	0.177	-0.493	0.584	-0.133			I	-0.049	-0.797	0.003	-0.074
Z scale (+)	I	T_{eff} resn (elec) (+)	I	0.008	-3.999	-0.013	-0.439			I	0.044	0.829	-0.001	0.084
Z scale (-)	I	T_{eff} resn (elec) (-)	I	-0.030	7.656	0.017	1.399			II	-1.306	0.616	-0.001	0.062
Z scale (+)	II	T_{eff} resn (elec) (+)	II	0.653	-5.005	-0.006	-0.531			I, II	-0.759	0.040	-0.000	-0.001
Z scale (-)	II	T_{eff} resn (elec) (-)	II	-0.716	6.597	0.027	0.480			I, II	0.770	-0.053	0.001	-0.011
X offset (+)	I	T_{eff} resn (neut) (+)	I, II	0.065	-0.054	-0.023	-0.006			II	0.028	-0.751	0.008	-0.056
X offset (-)	I	T_{eff} resn (neut) (-)	I, II	-0.041	-0.058	0.046	0.013			I	0.067	-0.463	0.003	-0.182
X offset (+)	II	T_{eff} resn (neut) (-)	I, II	-0.041	-0.058	0.046	0.013			I	0.009	-6.482	-0.003	-1.469
X offset (-)	II	T_{eff} linearity (+)	I, II	0.130	-0.160	0.379	-0.125			I	0.002	3.217	0.004	0.821
X offset (+)	I	T_{eff} linearity (-)	I, II	-0.132	0.287	-0.372	0.301			II	0.046	-0.814	0.001	-0.196
Y offset (-)	I	β_{14} elec scale (+)	I, II	0.634	-5.064	-0.082	-0.648			I	0.011	-0.328	0.003	0.010
Y offset (-)	I	β_{14} elec scale (-)	I, II	-0.622	5.559	0.086	0.607			I	-0.048	-2.875	0.003	-0.402
Y offset (+)	II	β_{14} elec scale (-)	I, II	-0.622	5.559	0.086	0.607			I	0.035	1.746	0.000	0.238
Y offset (-)	II	β_{14} neut scale (+)	I, II	0.719	-1.962	-0.040	-0.068			I	0.023	-2.371	0.002	-0.185
Z offset (+)	I	β_{14} neut scale (-)	I, II	-0.411	1.204	0.029	0.048			I	0.004	0.870	-0.000	0.440
Z offset (-)	I	β_{14} elec width (+)	I, II	0.306	-1.263	-0.079	-0.027			I	0.053	5.674	-0.004	0.774
Z offset (+)	II	β_{14} elec width (-)	I, II	-0.286	2.342	0.058	0.099			I	-0.016	-2.113	0.003	-0.203
Z offset (-)	II	β_{14} elec width (-)	I, II	-0.286	2.342	0.058	0.099			II	-0.005	0.735	-0.000	0.370
X resn	I	β_{14} neut width (+)	I, II	0.067	-0.240	-0.002	-0.014			I	0.001	-1.014	0.003	-0.111
X resn	II	β_{14} neut width (-)	I, II	-0.054	0.217	0.012	0.017			I	-0.042	-2.271	0.002	-0.714
Y resn	I	β_{14} E-dep (+)	I, II	0.227	1.661	-0.054	0.299			I	0.062	0.559	0.000	0.509
Y resn	II	β_{14} E-dep (-)	I, II	-0.246	-0.999	0.068	-0.228			I	-0.516	4.456	0.029	0.396
Z resn	I									II	0.524	-4.102	-0.027	-0.802
Z resn	II									I	0.075	-1.388	-0.001	-0.008
Z resn	II	0.115	-1.354	0.023	-0.418					I	-0.070	0.192	0.005	0.060
Z resn	II	PMT β_{14} width (-)								II	0.357	-1.054	-0.006	0.257
Z resn	II	-0.365	1.394	0.009	-0.459					II	-0.365	1.394	0.009	-0.459

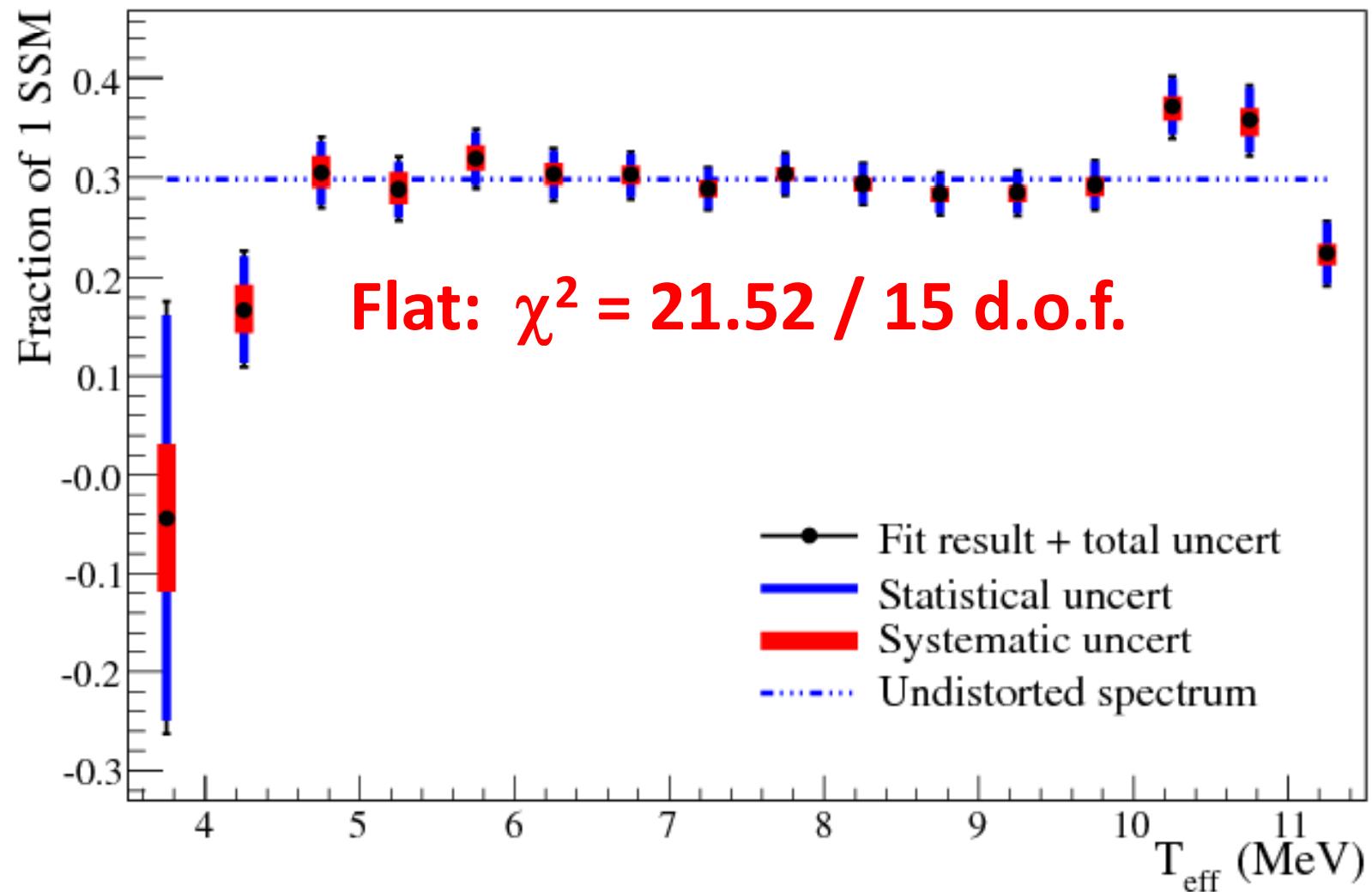
CC Recoil-Electron Spectrum



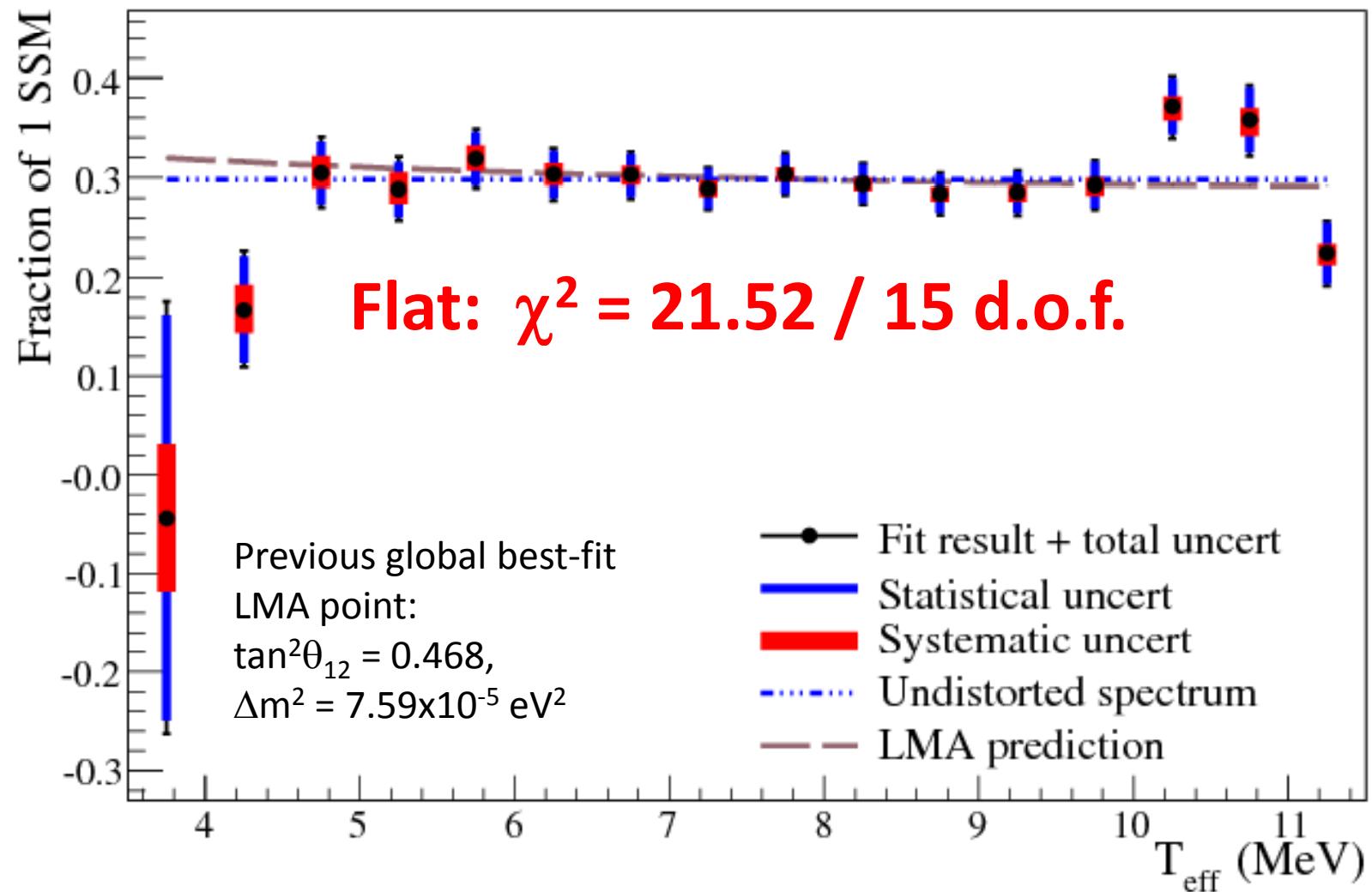
CC Recoil-Electron Spectrum



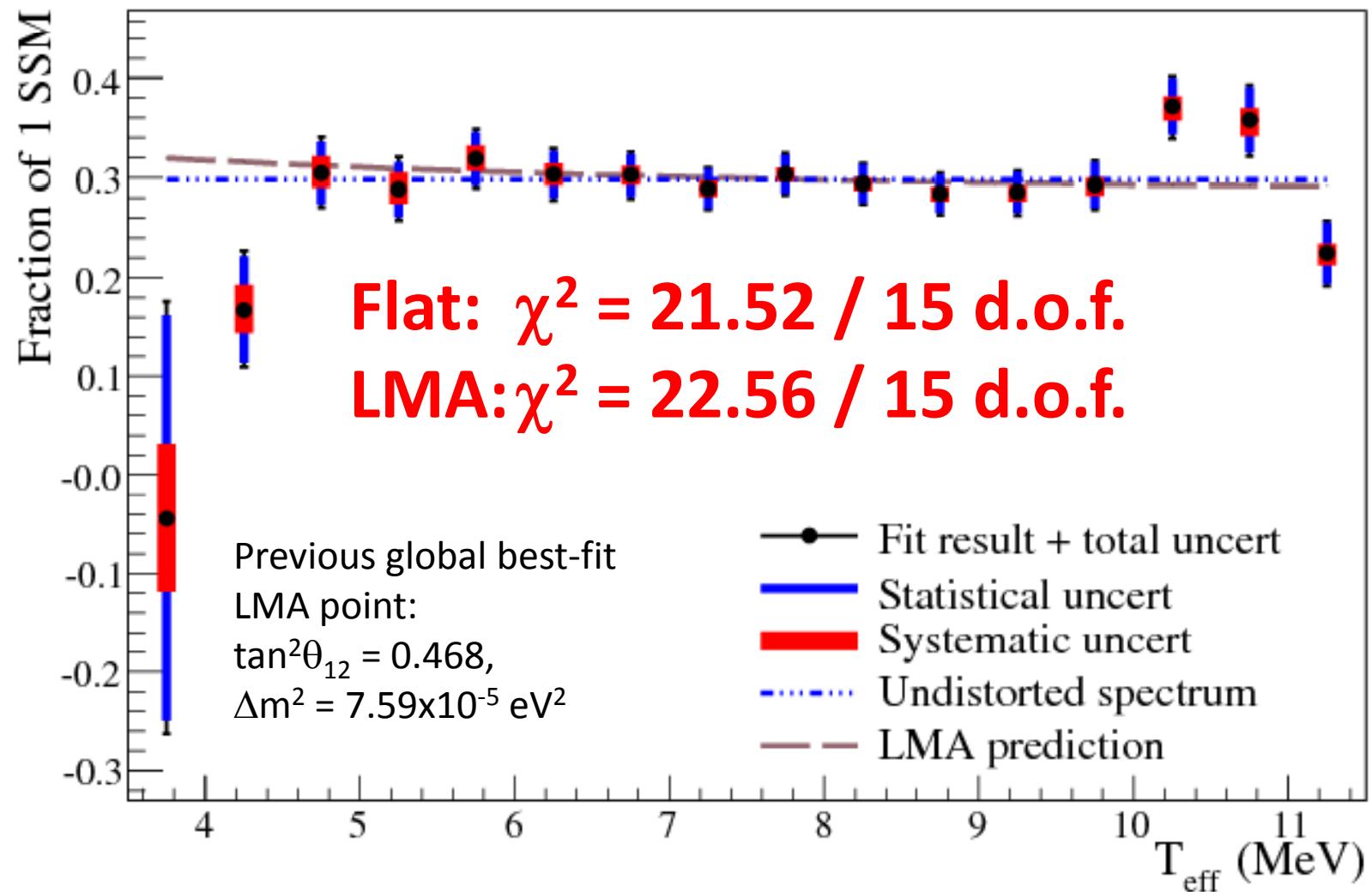
CC Recoil-Electron Spectrum



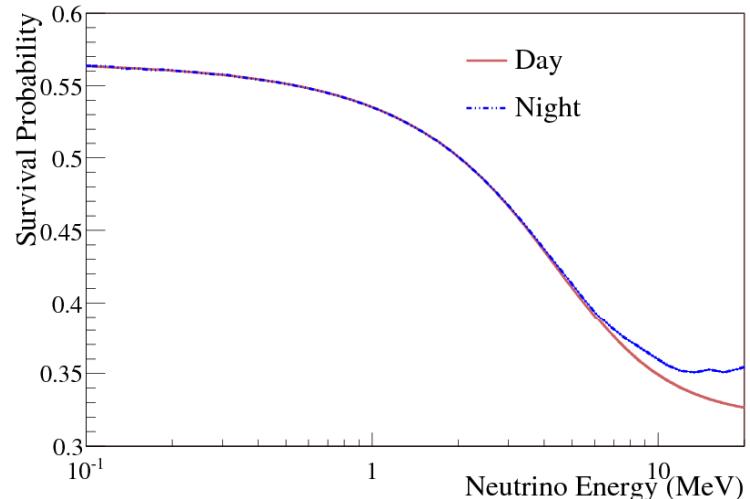
CC Recoil-Electron Spectrum



CC Recoil-Electron Spectrum



Direct Fit for Energy-Dependent Survival Probability

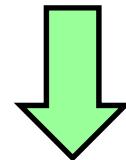


Neutrino signal directly described by 6 parameters:

1. $\Phi_{^8\text{B}}$: total ${}^8\text{B}$ neutrino flux
2. c_0, c_1, c_2 : quadratic expansion of the ν_e daytime P_{ee} around $E_\nu = 10 \text{ MeV}$
3. a_0, a_1 : linear expansion of a day/night asymmetry around $E_\nu = 10 \text{ MeV}$

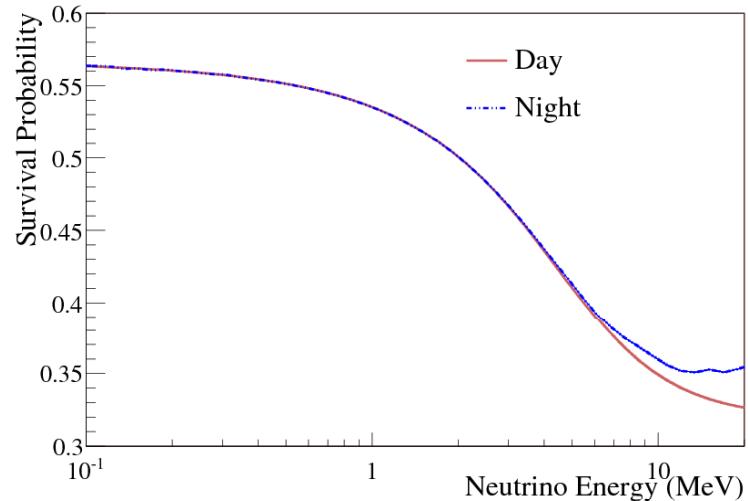
$$P_{ee}^{\text{DAY}}(E_\nu) = c_0 + c_1 (E_\nu - 10 \text{ MeV}) \\ + c_2 (E_\nu - 10 \text{ MeV})^2$$

$$P_{ee}^{\text{ASYM}}(E_\nu) = a_0 + a_1 (E_\nu - 10 \text{ MeV})$$



$$P_{ee}^{\text{NIGHT}}(E_\nu) = P_{ee}^{\text{DAY}}(E_\nu) \times \frac{[1 + (1/2)*P_{ee}^{\text{ASYM}}(E_\nu)]}{[1 - (1/2)*P_{ee}^{\text{ASYM}}(E_\nu)]}$$

Direct Fit for Energy-Dependent Survival Probability



$$\Phi_{8B} = 5.046 \\ +3.8 -3.9 \%$$

Assuming unitarity

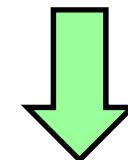
Neutrino signal directly described by 6 parameters:

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3. a_0, a_1 : linear expansion of a day/night asymmetry around $E_\nu = 10$ MeV

$$P_{ee}^{DAY}(E_\nu) = c_0 + c_1 (E_\nu - 10 \text{ MeV})$$

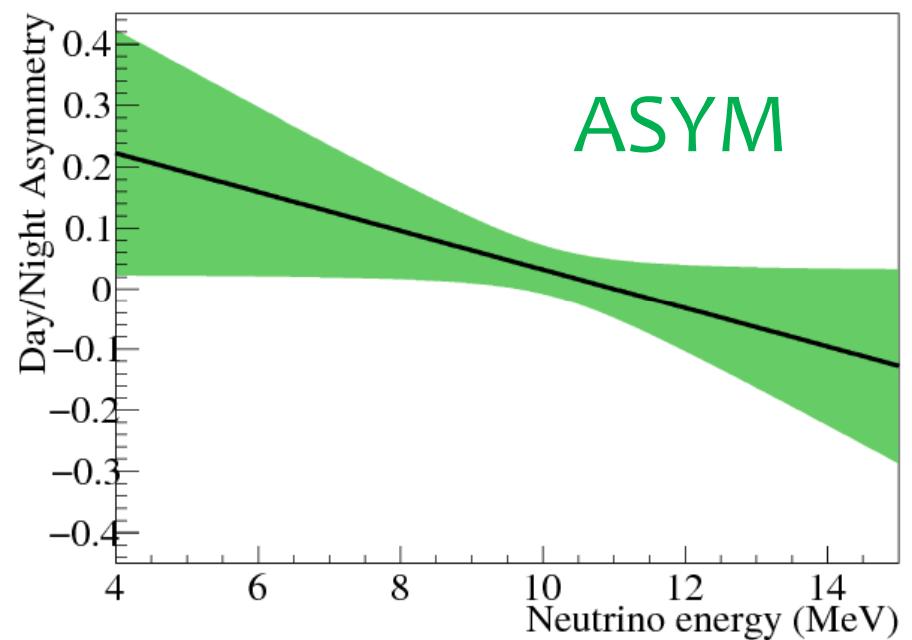
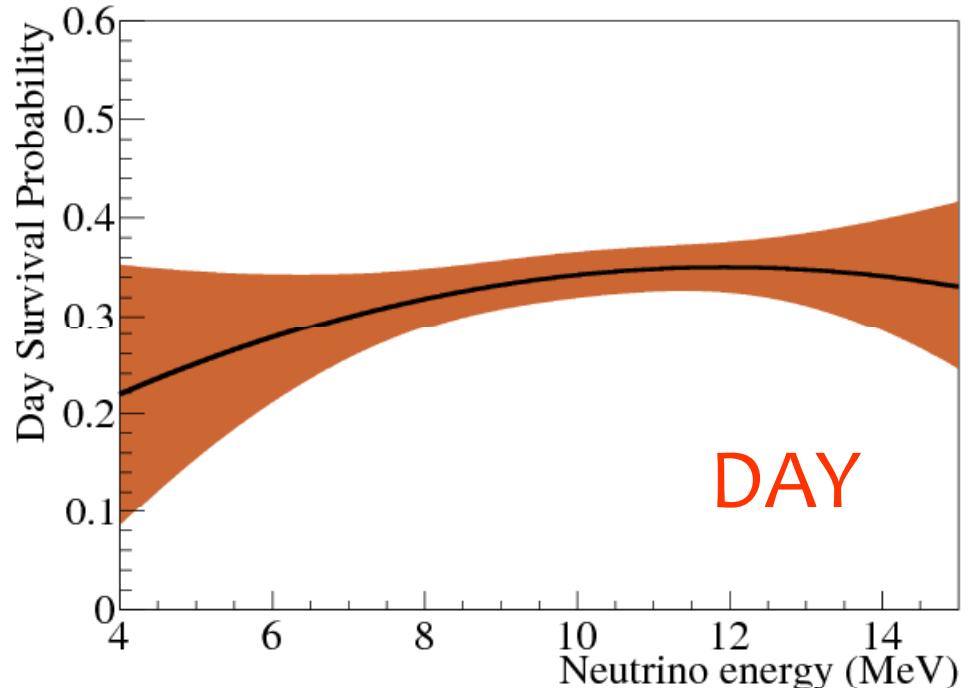
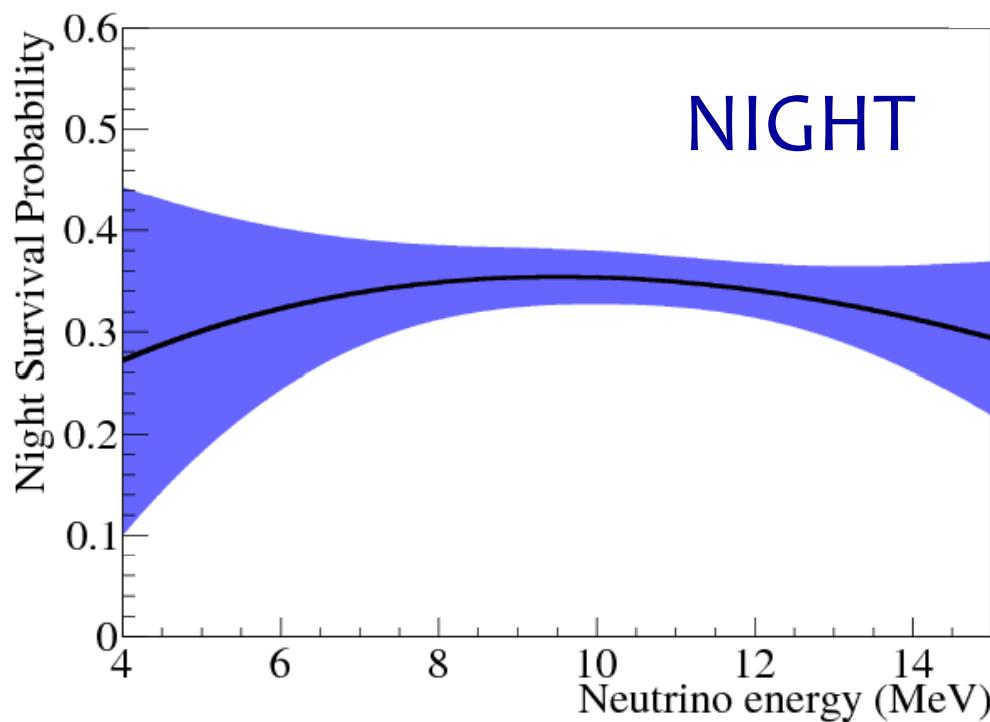
$$+ c_2 (E_\nu - 10 \text{ MeV})^2$$

$$P_{ee}^{ASYM}(E_\nu) = a_0 + a_1 (E_\nu - 10 \text{ MeV})$$



$$P_{ee}^{NIGHT}(E_\nu) = P_{ee}^{DAY}(E_\nu) \times \frac{[1 + (1/2)*P_{ee}^{ASYM}(E_\nu)]}{[1 - (1/2)*P_{ee}^{ASYM}(E_\nu)]}$$

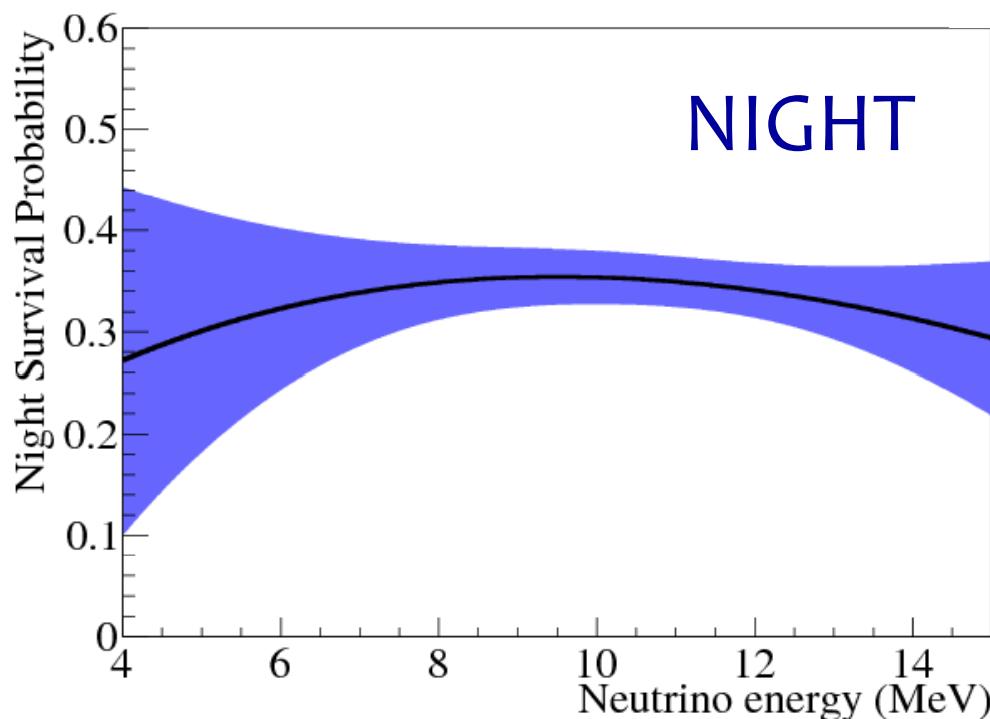
Direct Fit for Energy-Dependent Survival Probability



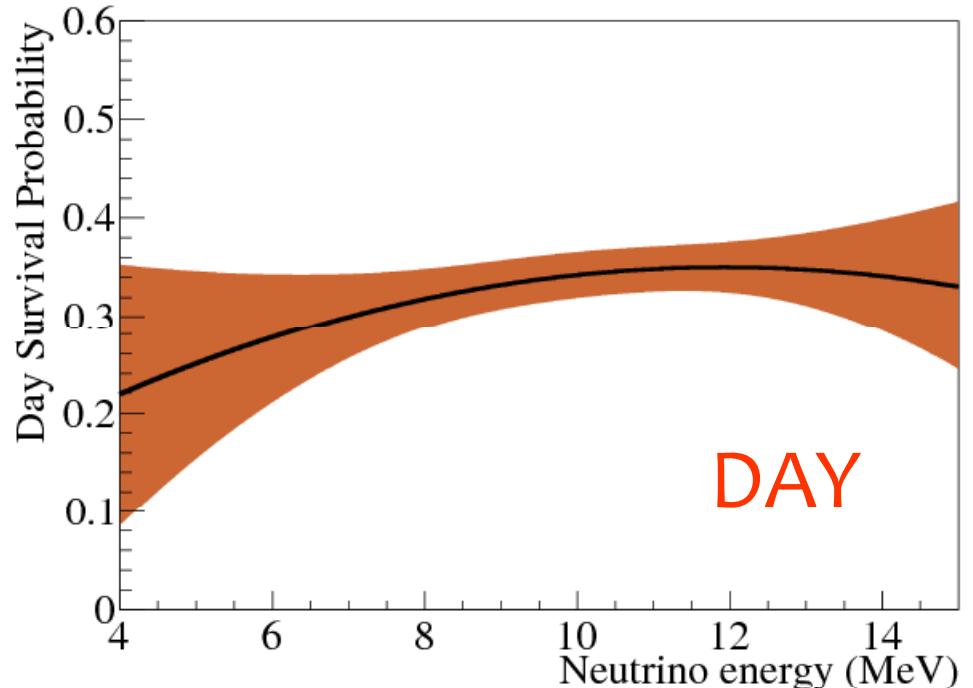
Direct Fit for Energy-Dependent Survival Probability

No distortion, no a/s:

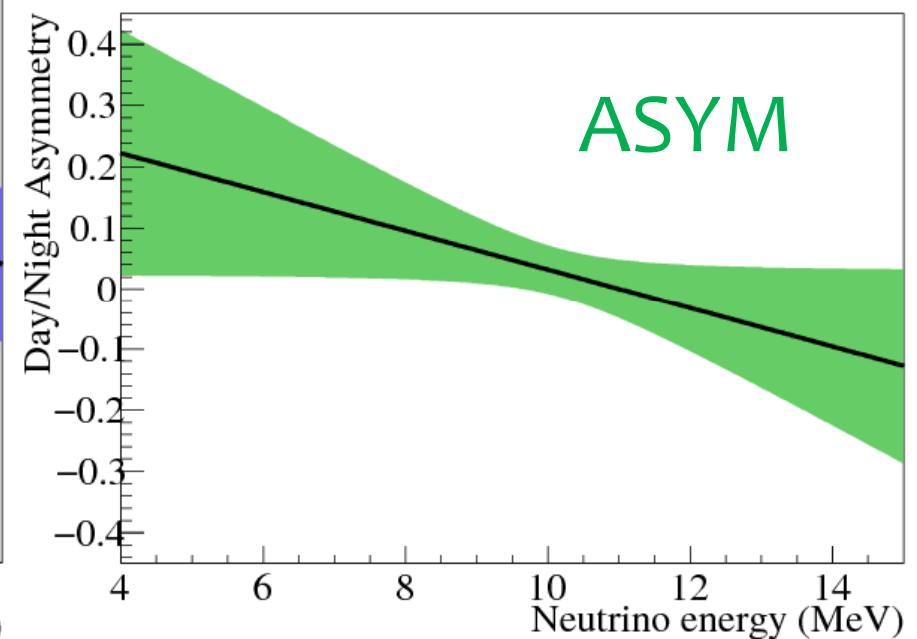
$$\Delta\chi^2 = 1.94 / 4 \text{ d.o.f.}$$



NIGHT



DAY



ASYM

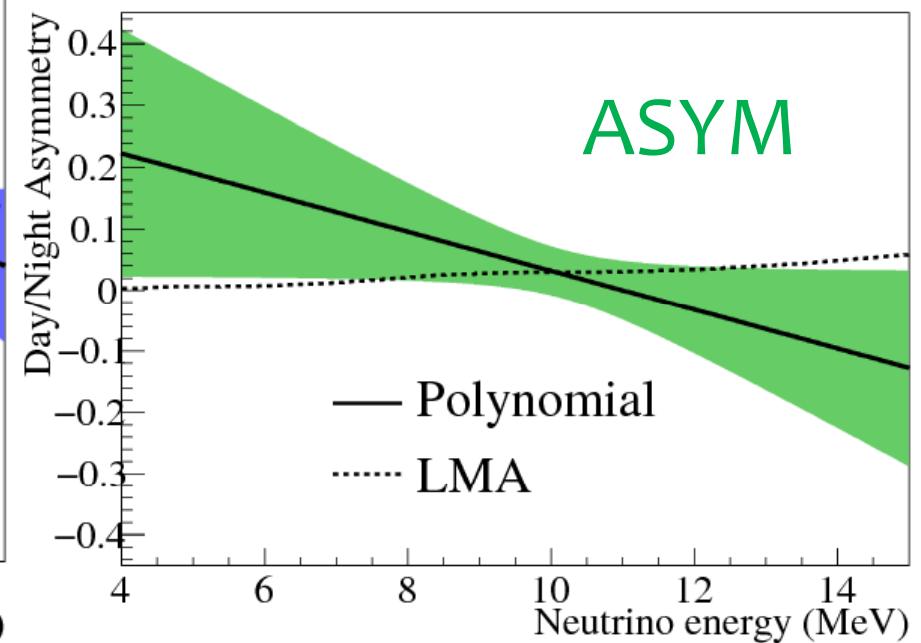
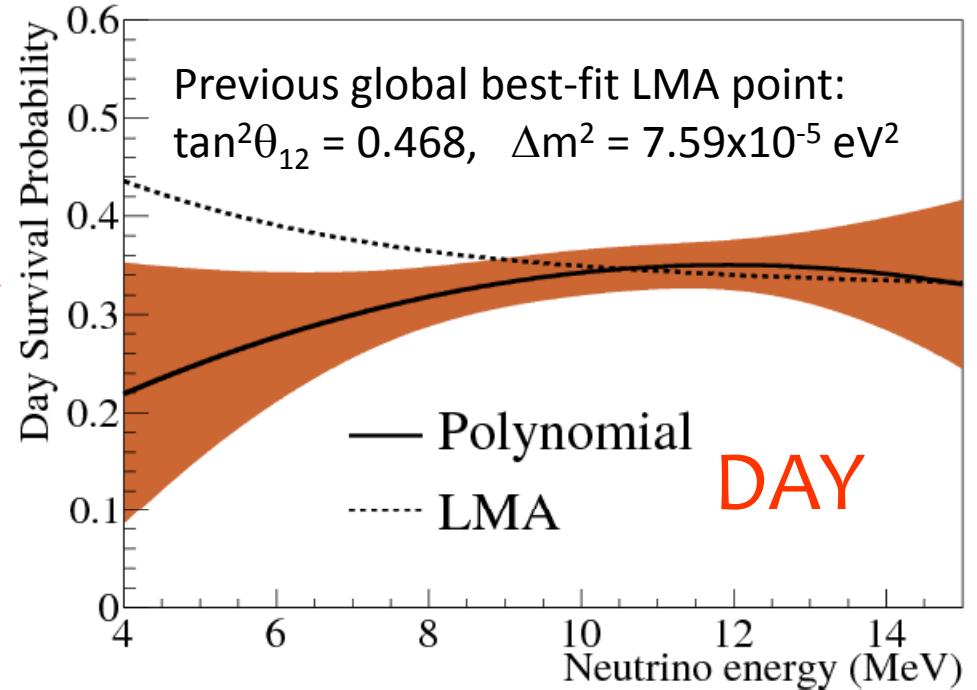
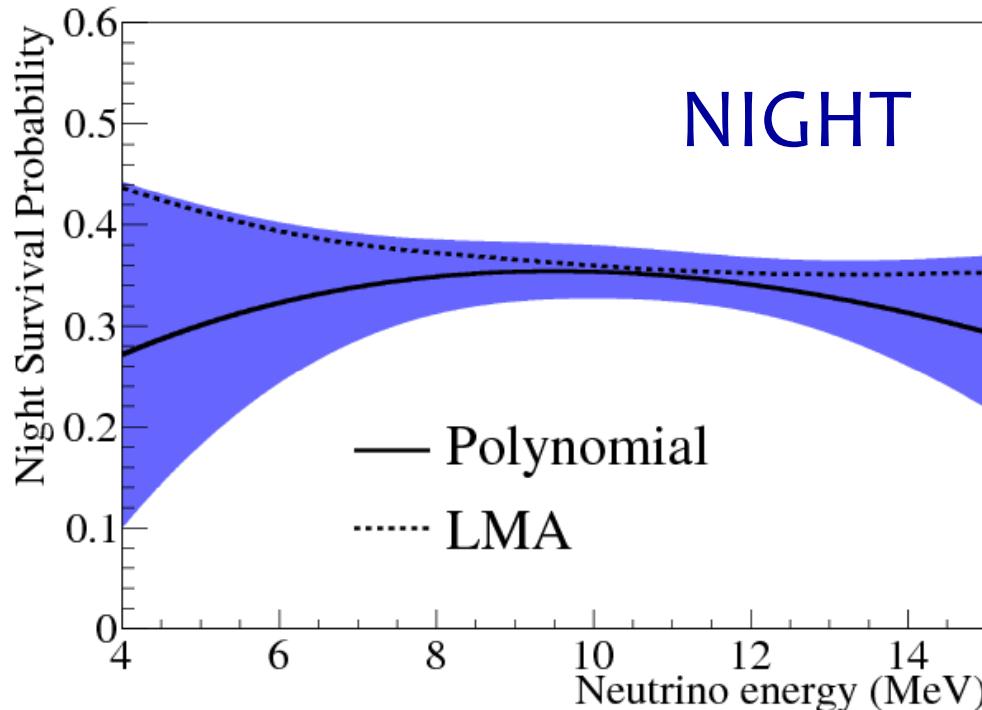
Direct Fit for Energy-Dependent Survival Probability

No distortion, no a/s:

$$\Delta\chi^2 = 1.94 / 4 \text{ d.o.f.}$$

LMA-prediction:

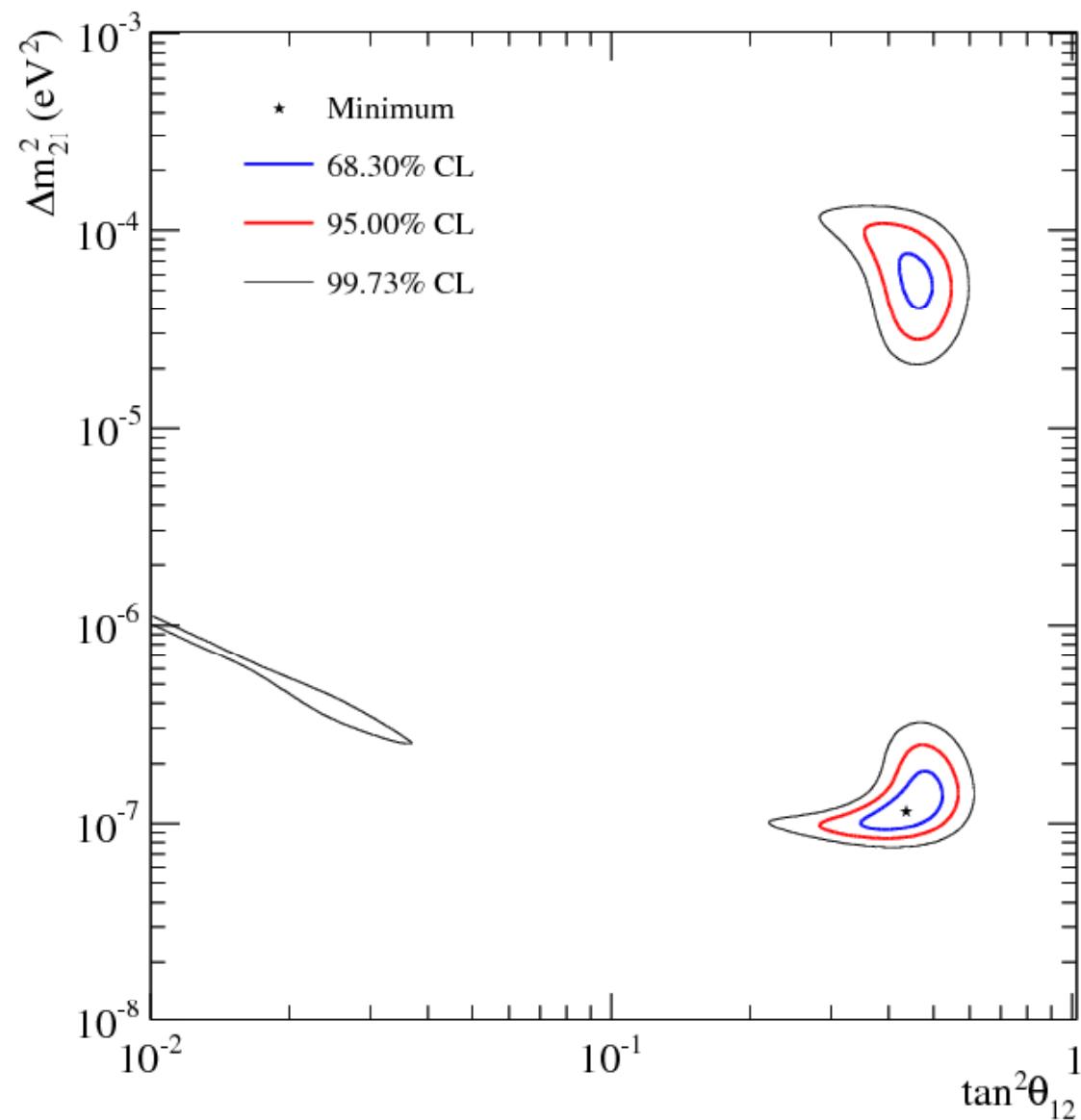
$$\Delta\chi^2 = 3.90 / 4 \text{ d.o.f.}$$



Oscillation Analyses: LETA

LETA paper 2009:
LETA joint-phase fit
+ Phase III

Best-fit point:
 $\tan^2\theta_{12} = 0.437$,
 $\Delta m^2 = 1.15 \times 10^{-7} \text{ eV}^2$



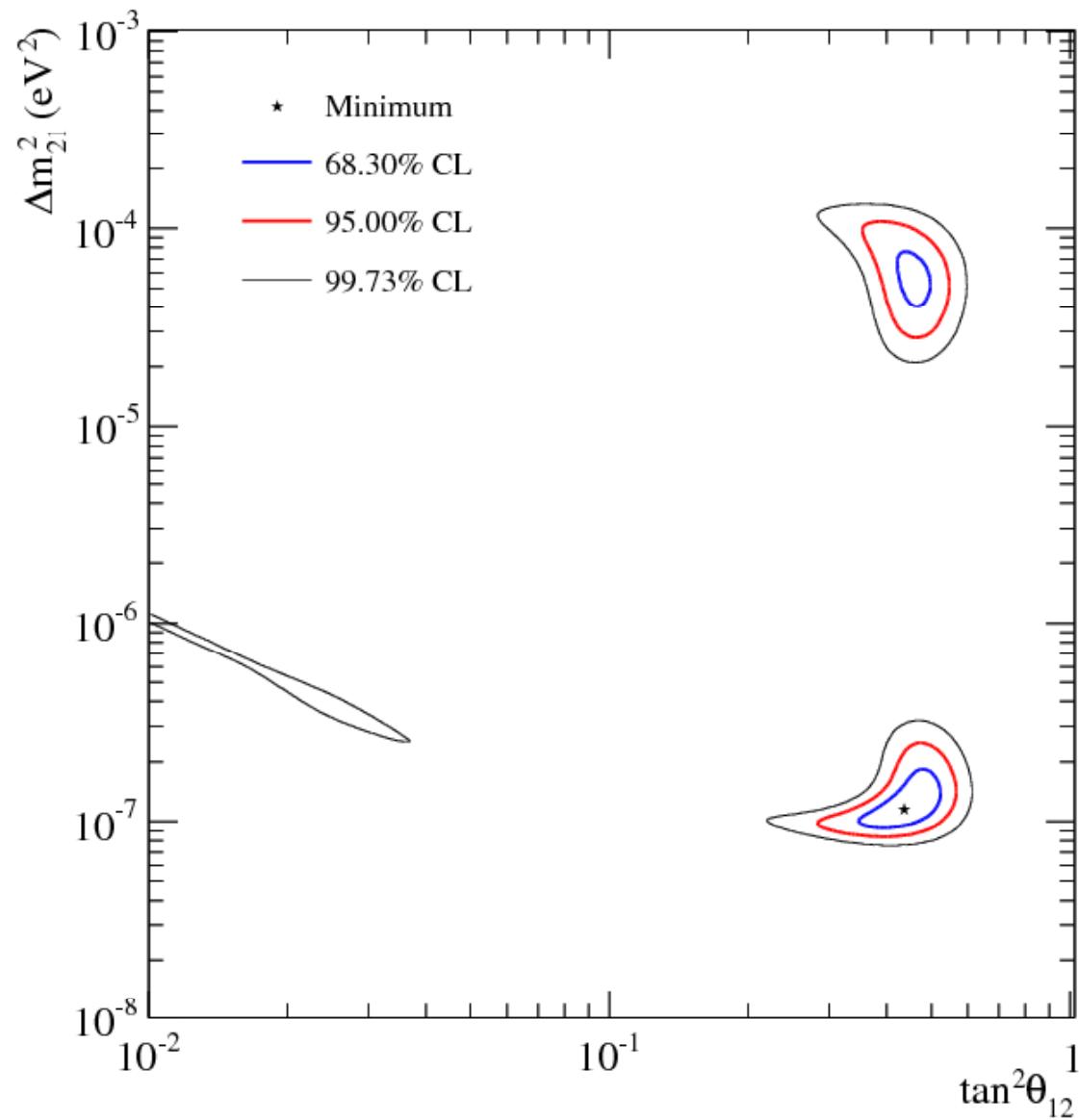
Oscillation Analyses: LETA

LETA paper 2009:
LETA joint-phase fit
+ Phase III

Best-fit LMA point:

$$\tan^2\theta_{12} = 0.457
(+0.038 -0.042)$$

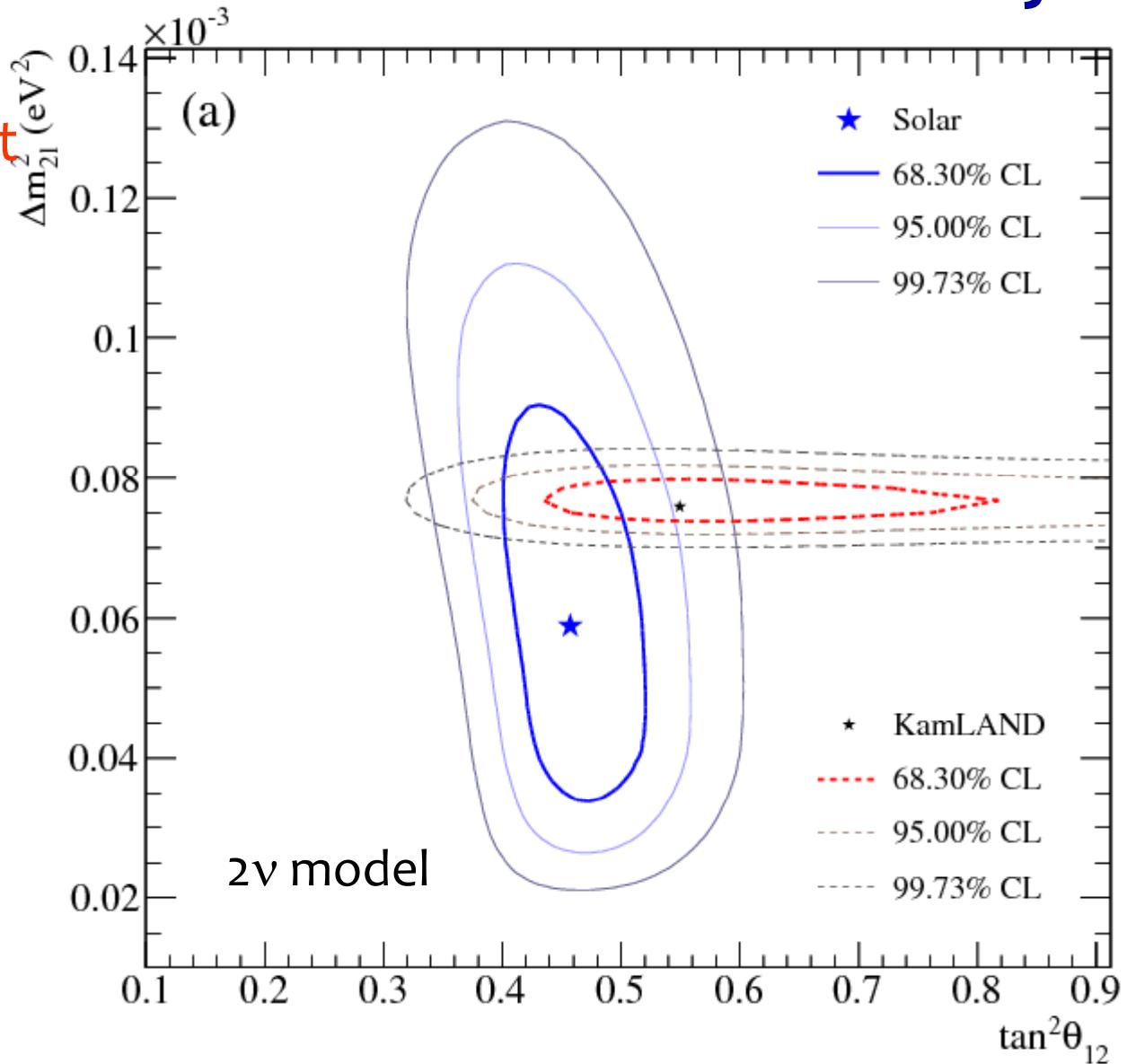
$$\Delta m^2 = 5.50 \times 10^{-5} \text{ eV}^2
(+2.21 -1.62)$$



Solar + KamLAND 2-flavor Overlay

LETA paper 2009:
LETA joint-phase fit
+ Phase III
+ all solar expts
+ KamLAND

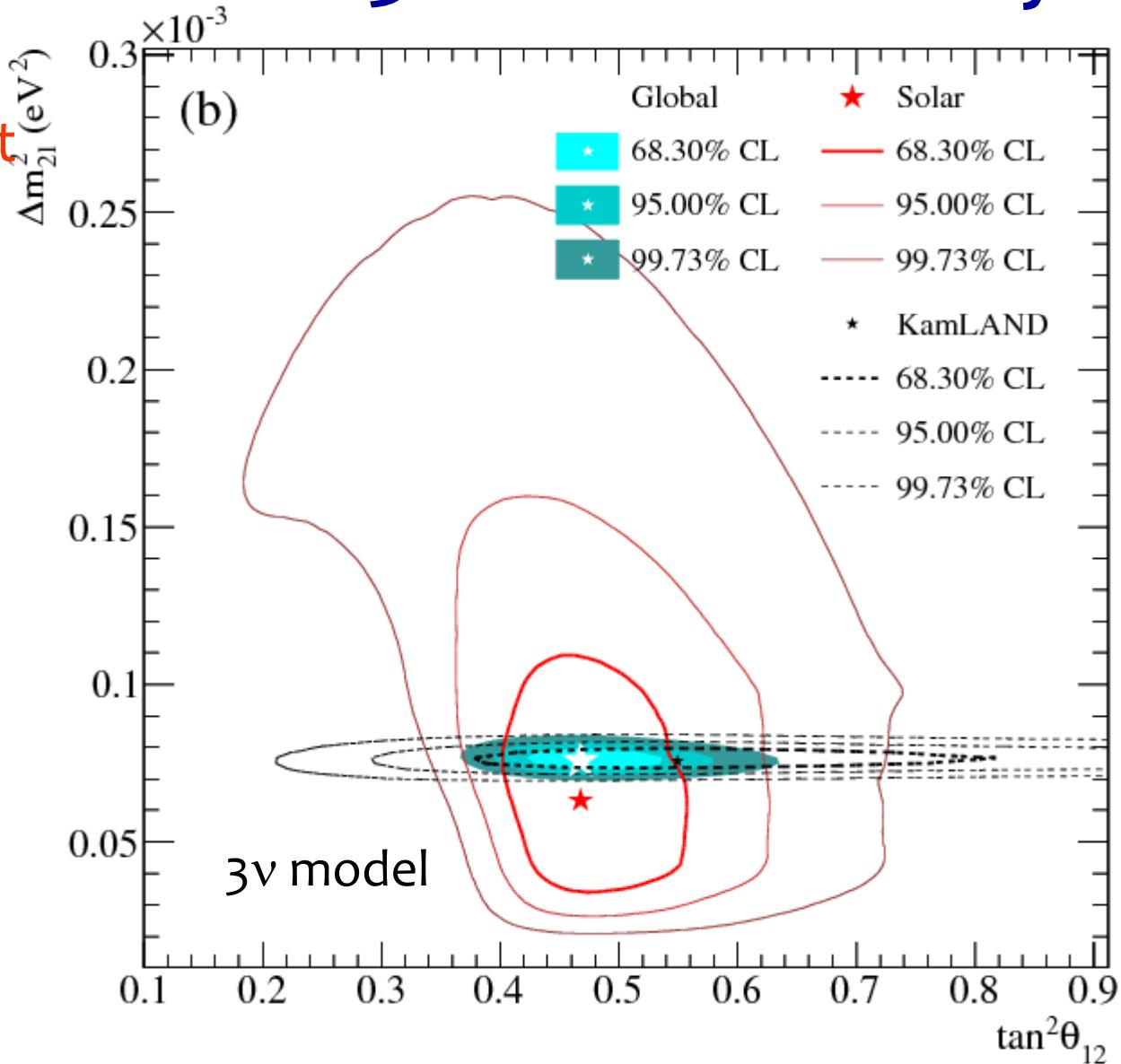
2-flavor overlay:



Solar + KamLAND 3-flavor Overlay

LETA paper 2009:
LETA joint-phase fit
+ Phase III
+ all solar expts
+ KamLAND

3-flavor overlay:



Solar + KamLAND 3-flavor Overlay

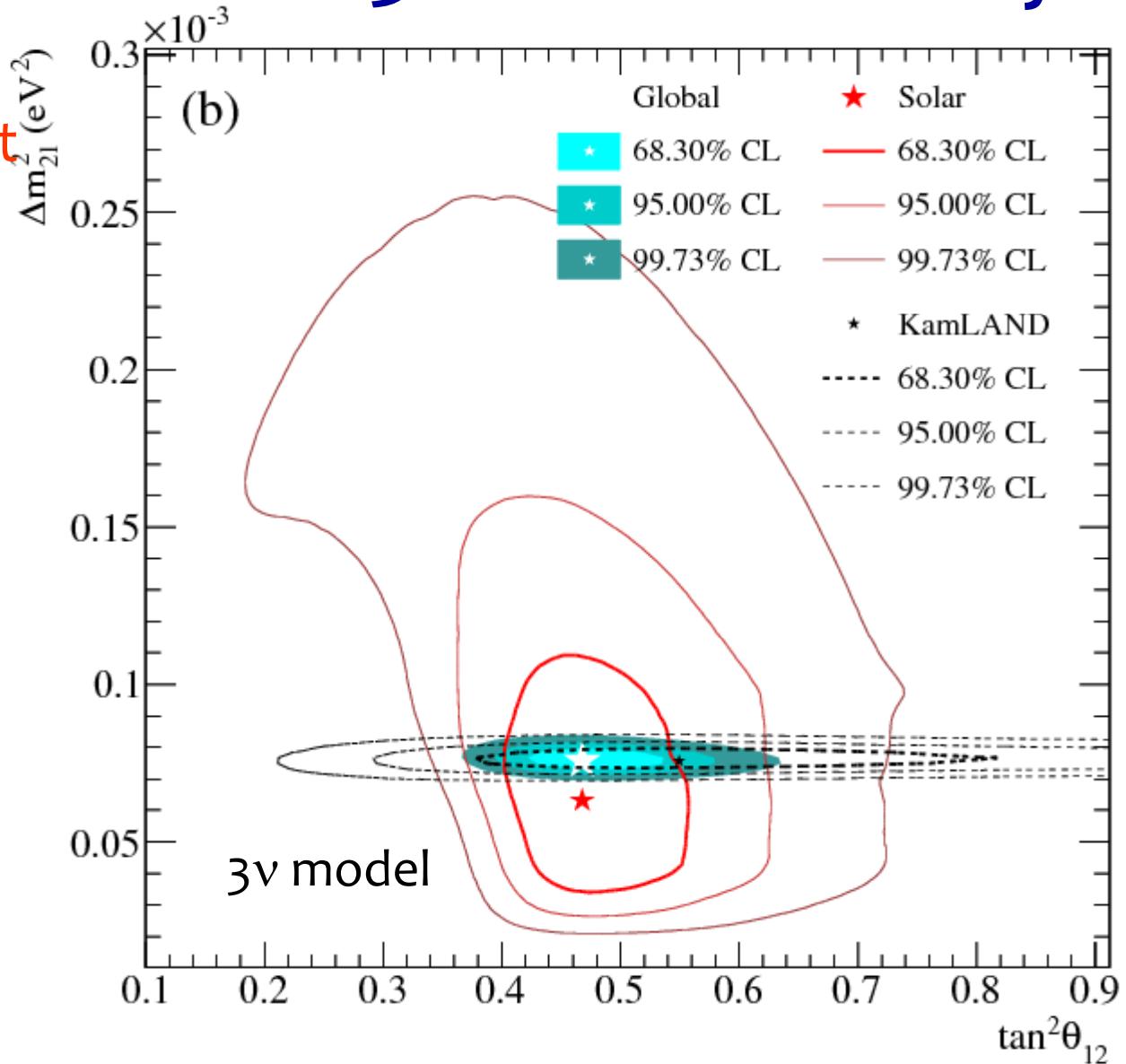
LETA paper 2009:
LETA joint-phase fit
+ Phase III
+ all solar expts
+ KamLAND

3-flavor overlay:

Best-fit LMA point:

$$\tan^2\theta_{12} = 0.468
(+0.042 -0.033)$$

$$\Delta m^2 = 7.59 \times 10^{-5} \text{ eV}^2
(+0.21 -0.21)$$



Solar + KamLAND 3-flavor Overlay

LETA paper 2009:

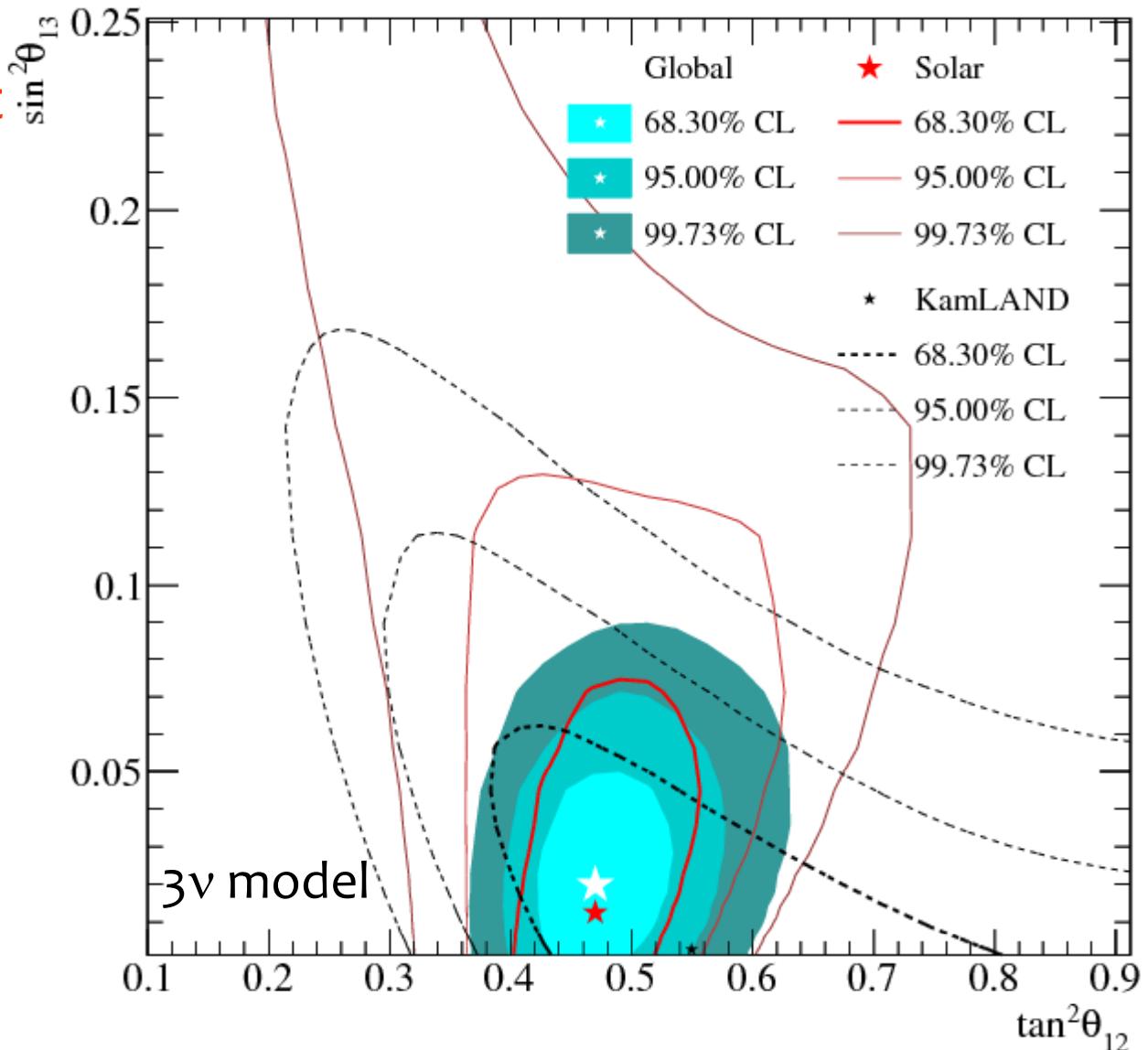
LETA joint-phase fit

+ Phase III

+ all solar expts

+ KamLAND

3-flavor analysis:



Solar + KamLAND 3-flavor Overlay

LETA paper 2009:

LETA joint-phase fit

+ Phase III

+ all solar expts

+ KamLAND

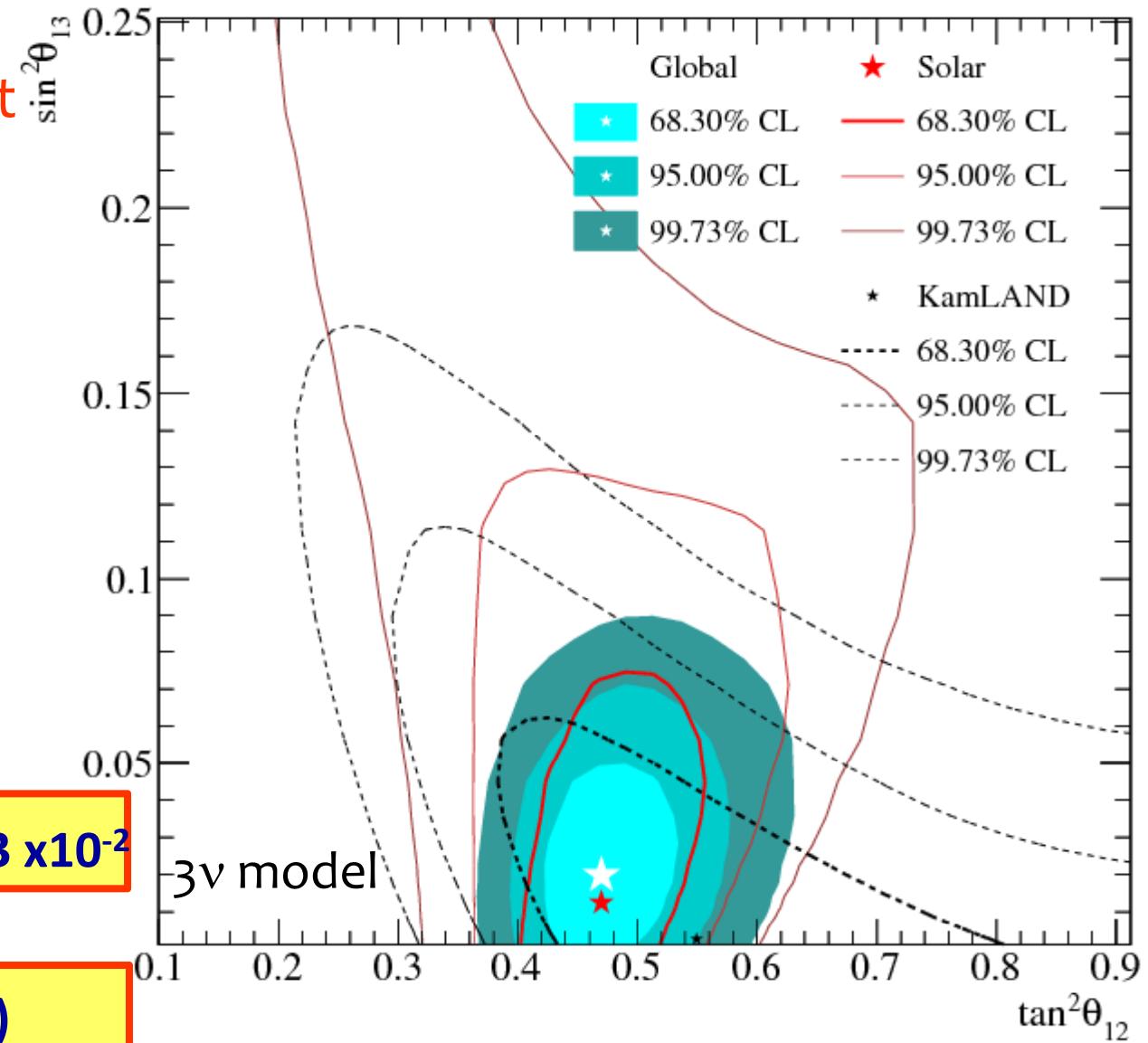
3-flavor analysis:

Best-fit:

$$\sin^2\theta_{13} = 2.00 + 2.09 - 1.63 \times 10^{-2}$$



$$\sin^2\theta_{13} < 0.057 \text{ (95% C.L.)}$$



Summary

1. Model-independent measure of the ${}^8\text{B}$ flux:

$$\Phi_{\text{NC}} = 5.140 +4.0 -3.8 \%$$

2. Measure of the ${}^8\text{B}$ flux assuming unitarity:

$$\Phi_{{}^8\text{B}} = 5.046 +3.8 -3.9 \%$$

3. Best fit global MSW parameters (2-flavor):

$$\tan^2 \theta_{12} = 0.457 \quad (+0.040 -0.029)$$

$$\Delta m^2 = 7.59 \times 10^{-5} \text{ eV}^2 \quad (+0.20 -0.21)$$

$$\Phi_{{}^8\text{B}} \text{ uncert} = +2.38 -2.95 \%$$

4. 3-flavor oscillation analysis:

$$\sin^2 \theta_{13} = 2.00 +2.09 -1.63 \times 10^{-2} \Rightarrow \sin^2 \theta_{13} < 0.057 \text{ (95% C.L.)}$$