

The LHCb upgrade: why and how



VI Meeting on B Physics

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Ferrara



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Outline

- Introduction (schedule)
- The physics case:
 - physics reach at 10fb^{-1} (5years) and possible scenarios
 - physics reach at 100fb^{-1} (upgrade)
 - concentrate on some core channels, discuss more what not discussed before
 - highlight channels of interest for SuperB
- How to record efficiently these data i.e. the trigger upgrade
- ~NOT speaking of technical issues such as detectors and electronics/DAQ

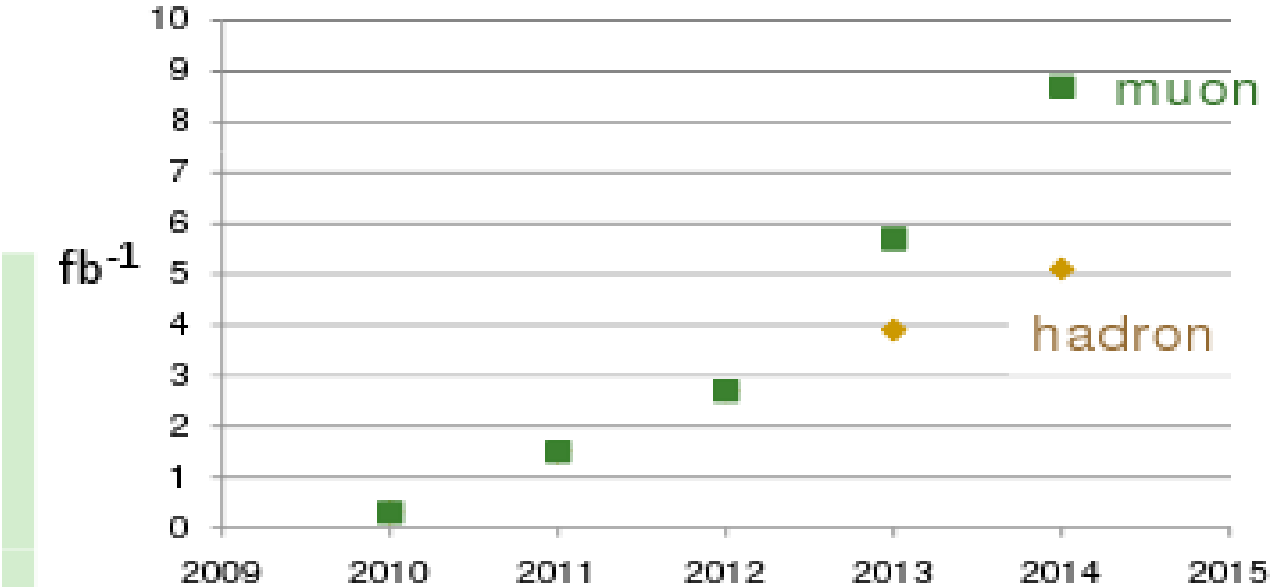
- **I try to give the most updated status so some results are not so digested**

Introduction

- LHCb upgrade must be synchronized with the machine shutdowns for LHC upgrades (even though LHCb doesn't need LHC luminosity improvements)
- LHC plans two upgrade steps, now spaced by 5 years
 - Ⓜ **Phase-I** to start with 6 - 8 month extra shutdown in 2014. Includes, new IR triplets for ATLAS & CMS, LINAC4
 - Ⓜ **Phase-II** 2018/2019 (SLHC, up to 10^{35} , higher energy? 18 months shutdown)
 - Ⓜ Shutdown schedules may easily change in the future. The 2014 date represents a 1 year slip & is not a "hard" date
- These two phases are spaced out too far in time for LHCb to consider Phase II
- We should plan now for one upgrade to be installed in a shutdown in 2015
- Upgrade plan discussed with LHCC
- (obvious) LHCC recommendation: investigate systematic limits of key measurements

Expected samples before the upgrade

Year	2010	2011	2012	2013	2014
time 10^6 s	3	6	6	6	6
L $\times 10^{32}$	1	2	2	5	5
fb^{-1} muon	0.3	1.2	1.2	3	3
fb^{-1} hadron	0.3	1.2	1.2	1.2	1.2
integral L muon	0.3	1.5	2.7	5.7	8.7
integral L hadron	0.3	1.5	2.7	3.9	5.1



LHCb physics in 10fb^{-1}

By 2014 LHCb expects to accumulate 10fb^{-1} . Allows for wide range of analyses, with high sensitivity to new physics. Some highlights:

- **Bs mixing phase** measured with uncertainty of 0.01 rad (0.5°)
(SM expectation: $-0.036 \pm .003$)
- **$B \rightarrow K^* \mu\mu$: '0-point'** of asymmetry measured to 7% (theory uncertainty $\sim 8\%$)
- **Observation of $B_s \rightarrow \mu\mu$ if BR at SM value**
- **$R_K = \text{BR}(K\mu\mu)/\text{BR}(Kee)$** measurement to $\sim 4\text{-}5\%$
- **Precise determination of γ**
 - -tree-level value known to $\sim 2\text{-}3^\circ$
- Search for NP CPV in **gluonic Penguins**, eg. $B_s \rightarrow \Phi\Phi$
- **D^0 mixing** measurements x'^2, y' to 10^{-5} and searches for charm CPV to 10^{-3}

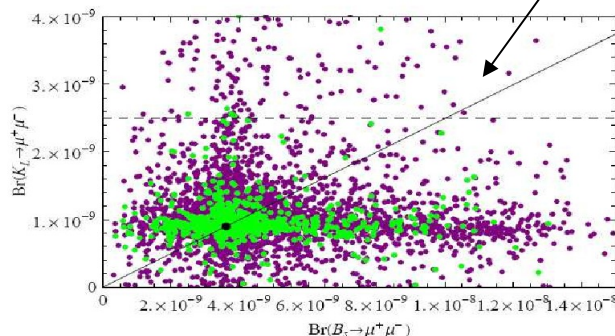
Some scenarios at 10fb^{-1}

- **The SM Higgs and nothing else**
- Imagine CMS/ATLAS see a SM Higgs and nothing else.
- In LHCb we can expect
 - $B_s \rightarrow \mu^+\mu^-$ discovered at SM level
 - CP angle γ at value from combined fits
 - $B_d \rightarrow K^{*0}\mu^+\mu^-$ zero point at SM value

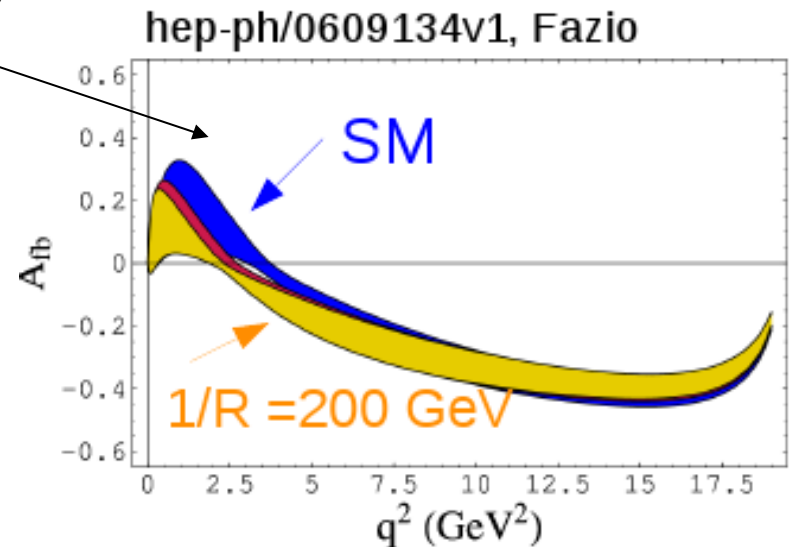


Some scenarios at 10fb^{-1}

- **A SUSY spectra is discovered**
- ATLAS and CMS might discover a host of new states but many different theory models are possible:
 - $B_s \rightarrow \mu^+\mu^-$ will set very strict constraints on the Higgs sector of SUSY
 - CP measurements investigate the flavour structure
 - $B_d \rightarrow K^*0\mu^+\mu^-$ will investigate handedness of SUSY couplings
- **Evidence of extra dimensions**
- The Appelquist, Cheng and Dobrescu model gives new flavour couplings, but no new phases
 - Strong effect on $B_s \rightarrow \mu^+\mu^-$ from modified Z_0 penguins
 - $B_d \rightarrow K^*0 \mu^+\mu^-$ is also sensitive in AFB zero point
 - As no new phases, CP violation measurements will stay at SM values.



Buras08



Sensitivity

with 10 fb⁻¹

Do we need 100 fb⁻¹?

NP in boxes:

- ϕ_s is the most sensitive measurement

$$\sigma(\phi_s) \sim 0.01$$

Yes

NP in penguins:

- Probably the best sensitivity:

$$\beta_s \text{ in } B_s \rightarrow J/\psi\phi$$

$$\& B_s \rightarrow \phi\phi$$

$$\sigma(\delta\beta_s) \sim 0.05$$

Yes

$$\text{or } \beta \text{ in } B \rightarrow J/\psi K_s$$

$$\& B \rightarrow \phi K_s$$

$$\sigma(\delta\beta) \sim 0.1$$

Yes

NP in penguins:

- Photon polarization

in B_s → φγ decay:

$$\sigma(A^\Delta) = 0.09$$

Yes

(theor. uncert. ~0.01)

NP in a mixture of loop diagrams:

- B → K*μμ

$$\sigma(s^0) \sim 0.3 \text{ GeV}^2$$

Yes

(ang distributions)

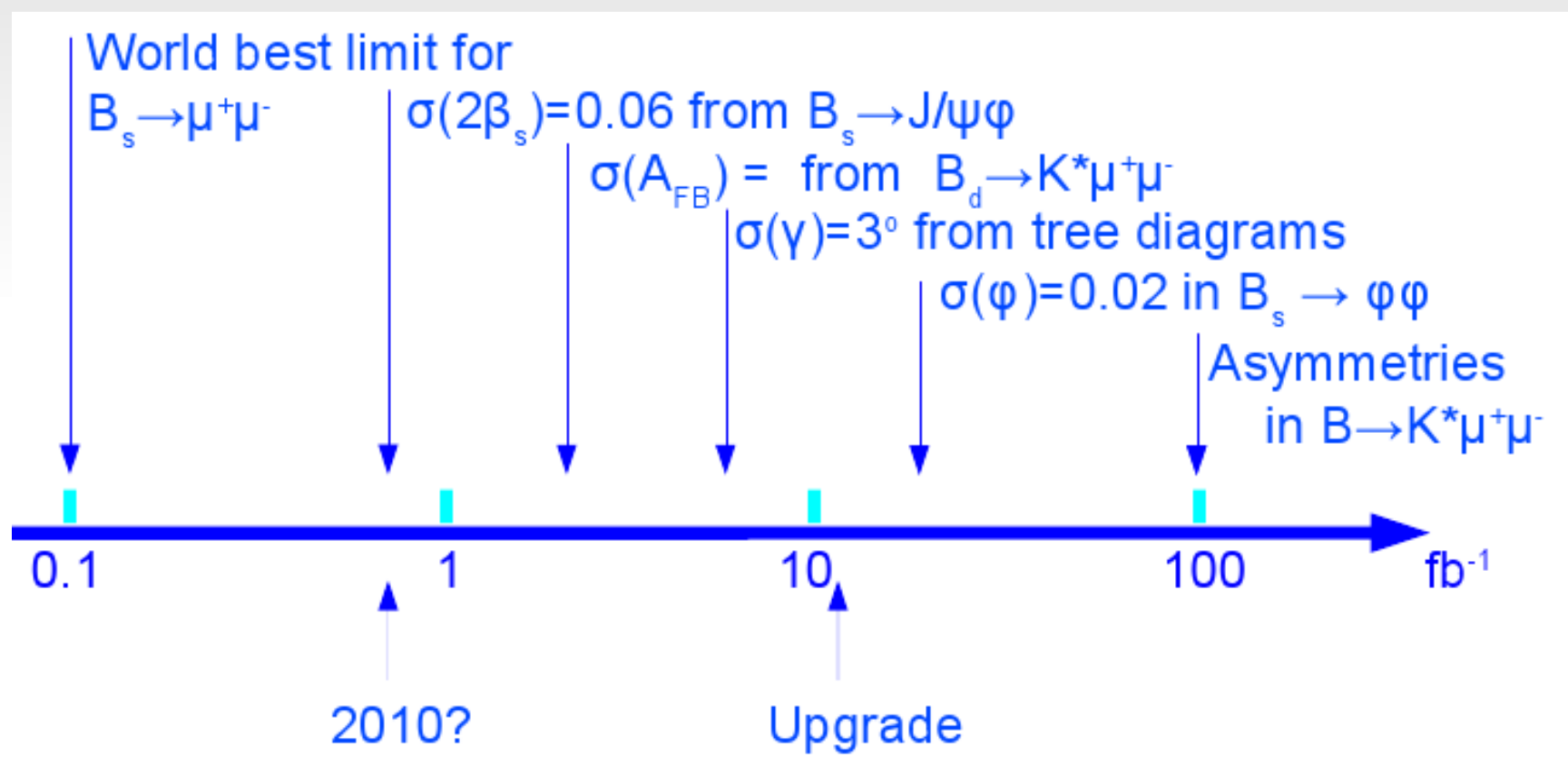
- B_s → μμ

(B_d → μμ)

>5σ observation if SM

Yes

Main LHCb events including the upgrade



100fb-1 sensitivities in detail

Observable	Sensitivity
$S(B_s \rightarrow \phi\phi)$	0.01 – 0.02
$S(B_d \rightarrow \phi K_S^0)$	0.025 – 0.035
$\phi_s (J/\psi\phi)$	0.003
$\sin(2\beta) (J/\psi K_S^0)$	0.003 – 0.010
$\gamma (B \rightarrow D^{(*)} K^{(*)})$	$< 1^\circ$
$\gamma (B_s \rightarrow D_s K)$	1 – 2°
$\mathcal{B}(B_s \rightarrow \mu^+\mu^-)$	5 – 10%
$\mathcal{B}(B_d \rightarrow \mu^+\mu^-)$	3σ
$A_T^{(2)}(B \rightarrow K^{*0}\mu^+\mu^-)$	0.05 – 0.06
$A_{\text{FB}}(B \rightarrow K^{*0}\mu^+\mu^-) s_0$	0.07 GeV ²
$S(B_s \rightarrow \phi\gamma)$	0.016 – 0.025
$A^{\Delta\Gamma_s}(B_s \rightarrow \phi\gamma)$	0.030 – 0.050
charm x'^2	2×10^{-5}
mixing y'	2.8×10^{-4}
CP y_{CP}	1.5×10^{-4}

No dedicated physics studies now, just scaled by 10 and 20 (hadronic channels)

Main question: what about systematics???????????

Some “we cannot do” which are very interesting



- Some channels with neutrinos
 - $B \rightarrow \tau \nu, B \rightarrow \mu \nu,$
 - $B \rightarrow K \nu \nu$

e.g sensitive to charged Higgs
- The **inclusive** $B \rightarrow X s l l$ or $X s \gamma$ (for the round table?)
- $\tau \rightarrow \mu \gamma, e \gamma$ etc.
- certainly more than I listed here...

maybe...



terventi. Ad esempio, dobbiamo realizzare in Italia una grande infrastruttura di ricerca, come del resto ci chiede l'Unione. Un centro, per capirci, come il Cern di Ginevra, un modello a cui far riferimento per diversi motivi».

«Grande opera per attirare cervelli stranieri»

Il ministro Gelmini: nascerà in Italia sul modello del Cern e rilancerà i nostri scienziati

A snapshot of what we can do

Mixing phases

- **Bd**
 - Vast statistics will allow improvement on Bd mixing phase (= $\sin 2\beta$ in SM).
 - Control channels will permit understanding of systematics from tagging and Penguin pollution (eg. $B_s \rightarrow J/\psi K$, R. Fleischer, Eur. Phys. J. C 10 (1999) 299)
 - Statistics will allow for 0.1° error.

- **Bs**
 - LHCb will (hopefully) see enhanced Bs mixing phase.
 - Upgraded LHCb will make precise measurement.
 - 8% relative uncertainty possible -will match current indirect error !

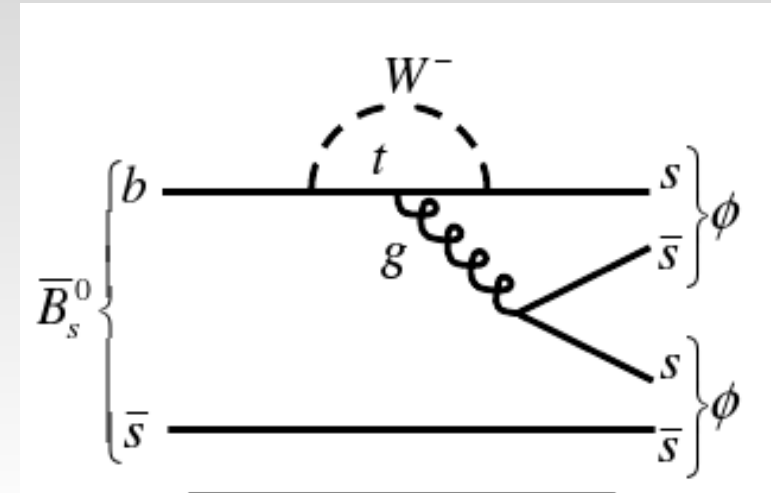
(Super-)LHCb	2 fb^{-1}	10 fb^{-1}	100 fb^{-1}
σ (stat)	0.021	0.009	0.003

CPV in gluonic penguin

- Tantalising hint of a discrepancy with $\sin(2\beta)$ from $b \rightarrow ccs$
- Concentrate of the cleanest modes:
 - $B_d \rightarrow \Phi K^0, \eta' K^0, K^0 K^0 K^0$
 - with current central value 5σ is an important goal
- $B_d \rightarrow \Phi K^0$ most promising at current LHCb
 - precision at the end of LHCb 0.1
 - end of SLHCb 0.025
 - assuming 2xtrigger eff
 - same as SFF but they have the other important modes

CPV in gluonic penguin: $B_s \rightarrow \Phi\Phi$

- The B_s analogue to $B_d \rightarrow \Phi K^0$: $B_s \rightarrow \Phi\Phi$
- Dependence on V_{ts} in both loop and mixing leads to SM CPV < 1%
- $P \rightarrow VV$: need full angular analysis
- LHCb with 10 fb^{-1} : precision 0.05
- Upgrade: 62k events and a precision of 0.015 achievable - extremely interesting!
- theory systematics under study:
 - S wave contributions (~10%)
 - penguin pollution (debated)



$$\begin{aligned}
 \lambda_{\Phi\Phi}^{SM} &= \frac{q}{p} \frac{\bar{A}_{\Phi\Phi}}{A_{\Phi\Phi}} \\
 &= \frac{V_{tb} V_{ts}^* V_{tb}^* V_{ts}}{V_{tb}^* V_{ts} V_{tb} V_{ts}^*} = \mathbf{1}
 \end{aligned}$$

mixing
decay

A $<1^\circ$ error on γ

- Extrapolating to 100 fb⁻¹ only consider strategies which are theoretically clean: tree level decays

TDCPV
DALITZ PLOT
ADS/GLW

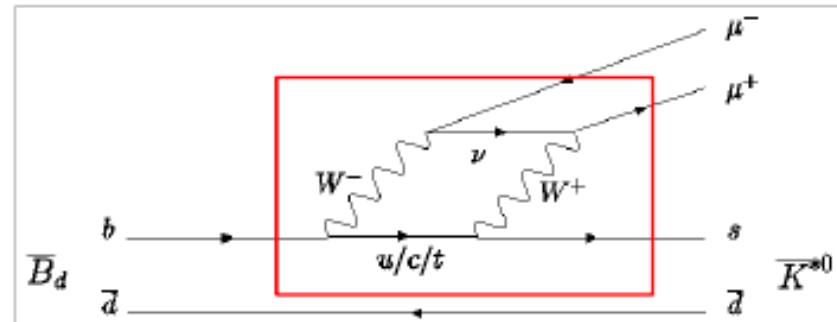
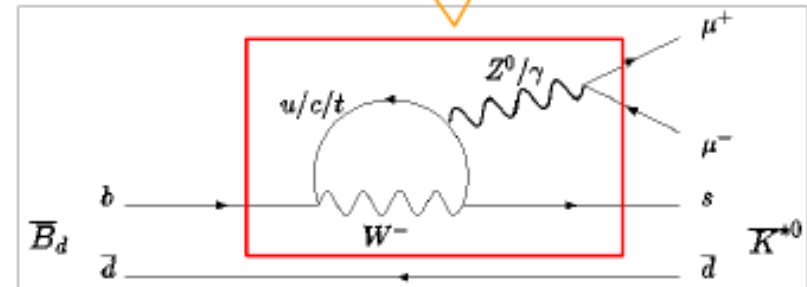
Mode	LHCb (10 fb ⁻¹)	Upgraded-LHCb (100 fb ⁻¹)
D _s K	27 k	540k
D(K _s ππ)K	≤25k	0.5M
D(Kπ) _{fav} K	280k	5.6M

- B_s → D_sK: statistical scaling leads to 1° uncertainty for 100 fb⁻¹
- B → D(K_sππ)K: statistical scaling leads to 1.2 ° for 100 fb⁻¹
 - need to consider model independent method (Bondar & Poluektov) but need to derive strong phase difference between D and D̄ → K_sππ; exploiting ψ'' → DD data the residual systematics is 1.5-1° with final CLEO-c statistics BES-III (×20 stat.) coming soon
- B → D(hh)K: ADS/GLW 1-1.5° uncertainty
- largest systematic from detector asymmetry - measured in data

Bd- \rightarrow K* $\mu\mu$

- First observed at Belle
 - Phys. Rev. Lett. 91:261601, 2003
 - $\text{Br}(B_d \rightarrow K^* \mu \mu) = 1.22 \times 10^{-6}$ (PDG 06)
- Particles in Loop
 - Neutral and charged NP particles possible (replace W^\pm , Z^0/γ , $u/c/t$)
- Sensitive to NP
 - Dominated by C_7 , C_9 , C_{10}
 - Studies done in Higgs sector, SUSY, LH, RS, UED etc
- Can be selected by LHCb
 - ~ 7200 sig, 3500 bg per year (2 fb^{-1})

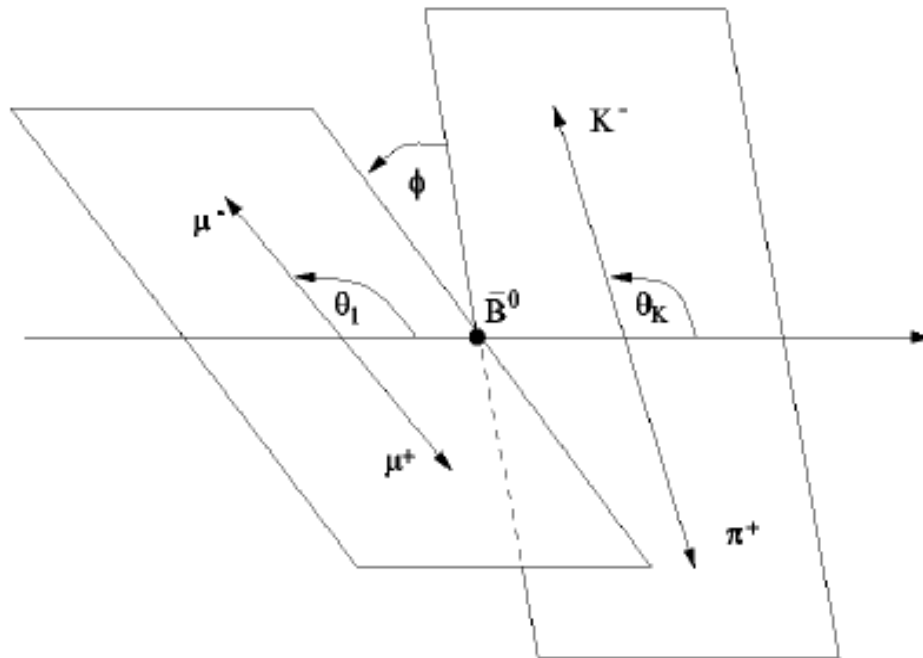
Insert your favourite NP particles here!



$b \rightarrow s$ quark transition

Bd- \rightarrow K* $\mu\mu$

Decay Kinematics



- θ_1 : Angle between μ^- and \bar{B} in $\mu\mu$ rest frame
- θ_K : Angle between K^- and \bar{B} in K^* rest frame
- ϕ : Angle between the K^* and $\mu\mu$ decay planes

- Decay in terms of 3 Angles and 1 Invariant Mass
 - θ_1 , θ_K , ϕ and q^2 , the invariant mass squared of μ pair
 - q^2 sometimes labelled s in theory papers

Bd- \rightarrow K* $\mu\mu$

$$I = I_1 + I_2 \cos 2\theta_l + I_3 \sin^2 \theta_l \cos 2\phi + I_4 \sin 2\theta_l \cos \phi + I_5 \sin \theta_l \cos \phi + I_6 \cos \theta_l \\ + I_7 \sin \theta_l \sin \phi + I_8 \sin 2\theta_l \sin \phi + I_9 \sin^2 \theta_l \sin 2\phi.$$

Angular Distribution Angular Observables

- Extract from Angular Projections...
- ...or from Transversity Amplitudes
 - Use a full angular fit
- Considered A_{FB} , $A_T^{(2)}$, $A_T^{(3)}$, F_L and others

$$A_{FB} = \frac{3(\Re(A_{\parallel}^L A_{\perp}^{L*}) - \Re(A_{\parallel}^R A_{\perp}^{R*}))}{2(|A_0^L|^2 + |A_0^R|^2 + |A_{\perp}^L|^2 + |A_{\perp}^R|^2 + |A_{\parallel}^L|^2 + |A_{\parallel}^R|^2)}$$

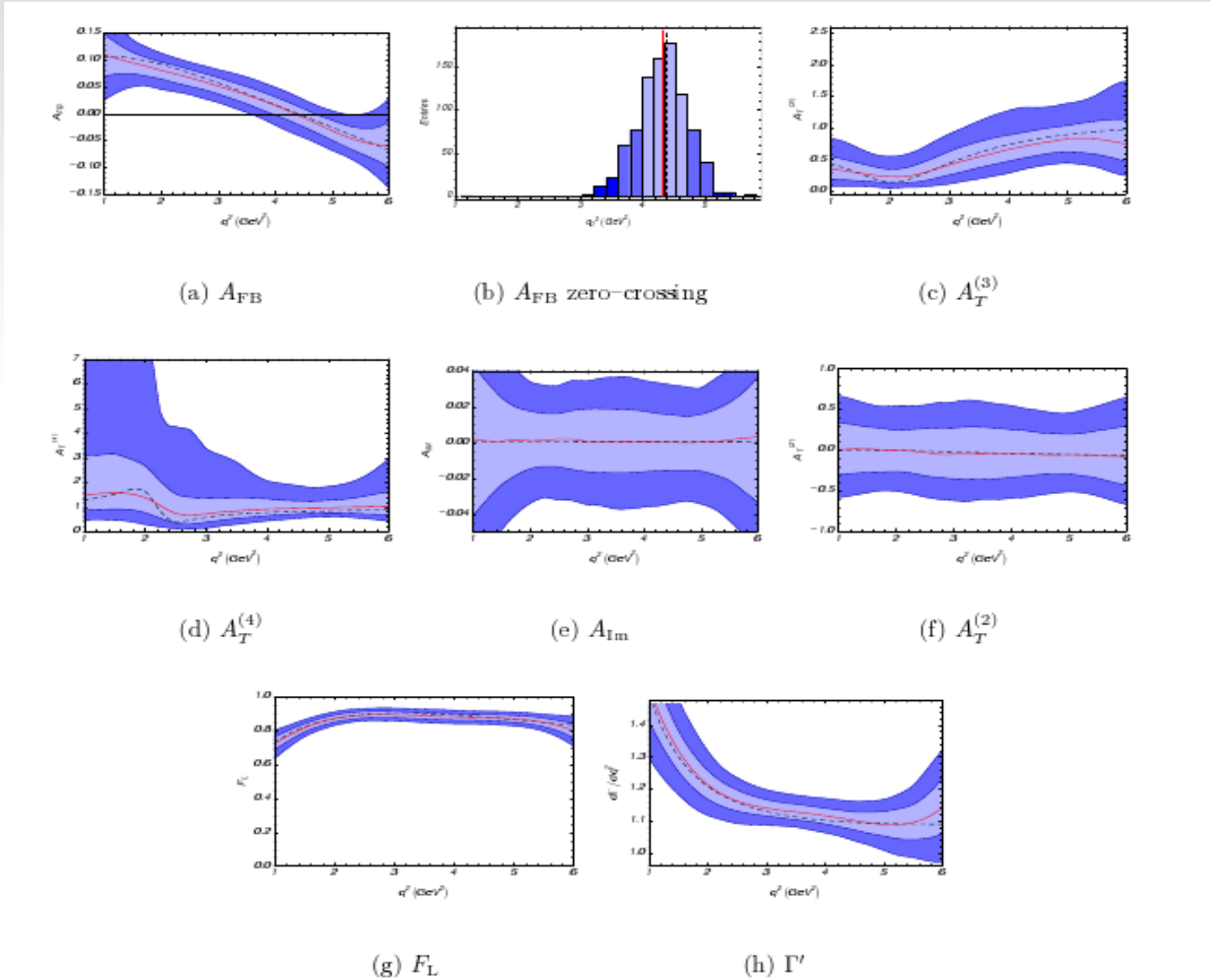
$$F_L = \frac{|A_0^L|^2 + |A_0^R|^2}{|A_0^L|^2 + |A_0^R|^2 + |A_{\perp}^L|^2 + |A_{\perp}^R|^2 + |A_{\parallel}^L|^2 + |A_{\parallel}^R|^2}$$

$$A_T^{(2)} = \frac{|A_{\perp}^L|^2 + |A_{\perp}^R|^2 - |A_{\parallel}^L|^2 - |A_{\parallel}^R|^2}{|A_{\perp}^L|^2 + |A_{\perp}^R|^2 + |A_{\parallel}^L|^2 + |A_{\parallel}^R|^2}$$

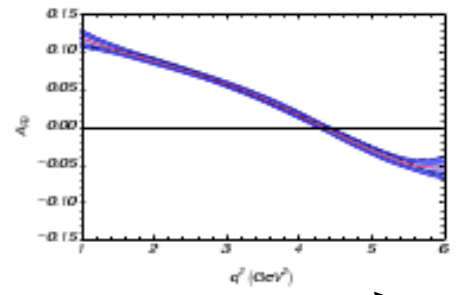
$$A_T^{(3)} = \frac{A_{0L} A_{\parallel L}^* - A_{0R}^* A_{\parallel R}}{\sqrt{|A_0|^2 \times |A_{\perp}|^2}}$$

Bd- \rightarrow K* $\mu\mu$ (2fb^{-1})

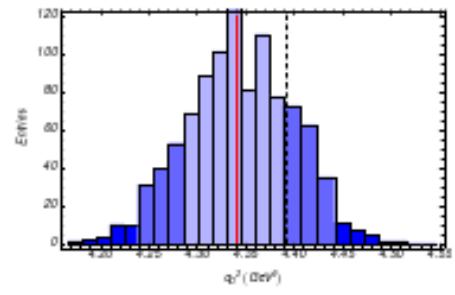
Egede et al.,



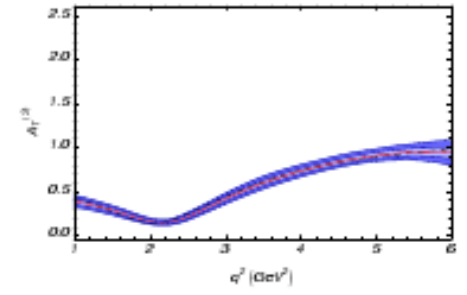
Bd- \rightarrow K* $\mu\mu$ (100fb^{-1})



(a) A_{FB}

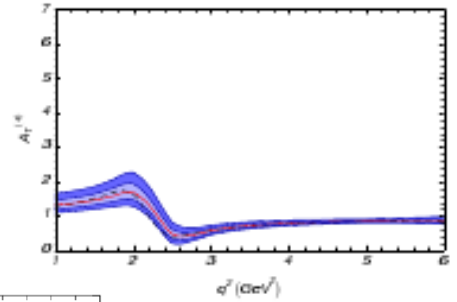


(b) A_{FB} zero-crossing

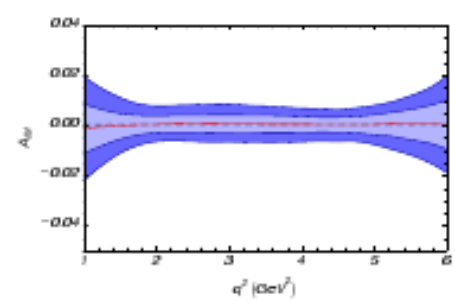


(c) $A_T^{(3)}$

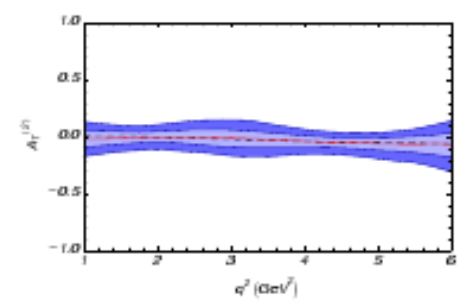
error~1-2%
while theory at 10% NLO



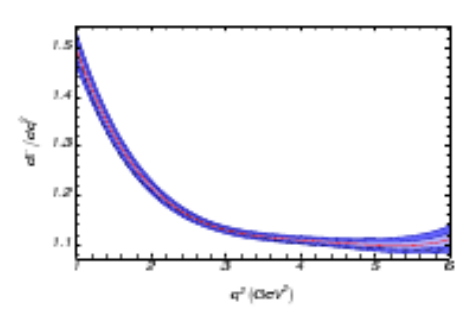
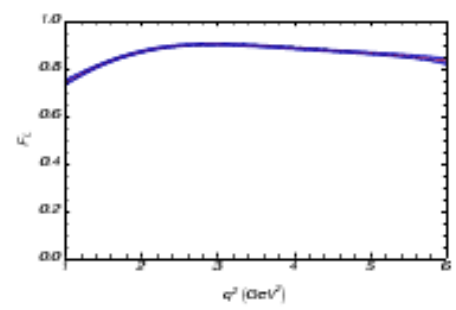
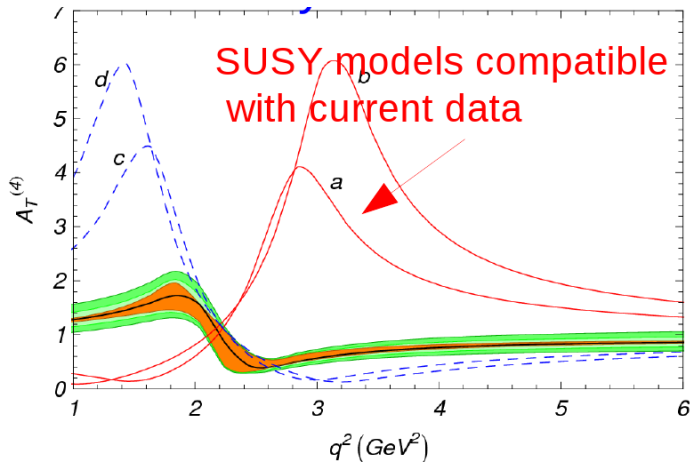
(d) $A_T^{(4)}$



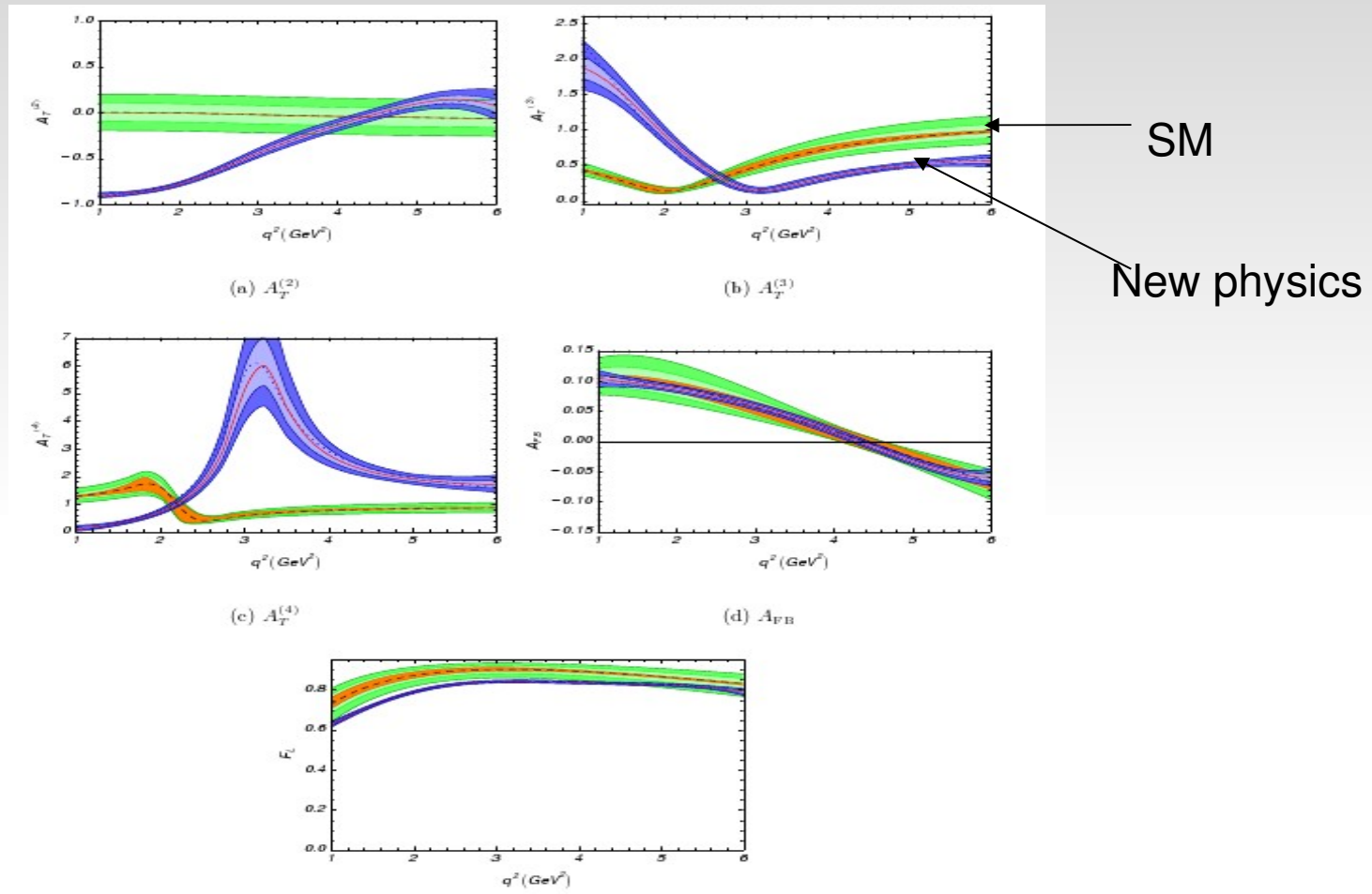
(e) A_{Im}



(f) $A_T^{(2)}$



Bd- \rightarrow K* $\mu\mu$ (10fb^{-1}) Comparison with SUSY-b



Non MFV model with R-parity conservation with $m(\tilde{g}) \approx 1\text{TeV}$ $m(\tilde{d}) \approx 250\text{GeV}$ and $\tan(\beta) = 5$
an example of a model for which AFB similar to SM and other distributions can discriminate

Bs → μμ

- SM prediction (Buras 06)

$$Br(B_d \rightarrow \mu^+ \mu^-)^{\text{SM}} = (1.03 \pm 0.09) \cdot 10^{-10}, \quad Br(B_s \rightarrow \mu^+ \mu^-)^{\text{SM}} = (3.35 \pm 0.32) \cdot 10^{-9}.$$

- MFV violation prediction (Buras 06)

$$\frac{Br(B_s \rightarrow \mu^+ \mu^-)}{Br(B_d \rightarrow \mu^+ \mu^-)} = \frac{\hat{B}_{B_d} \tau(B_s) \Delta M_s}{\hat{B}_{B_s} \tau(B_d) \Delta M_d} = 32.4 \pm 1.9$$

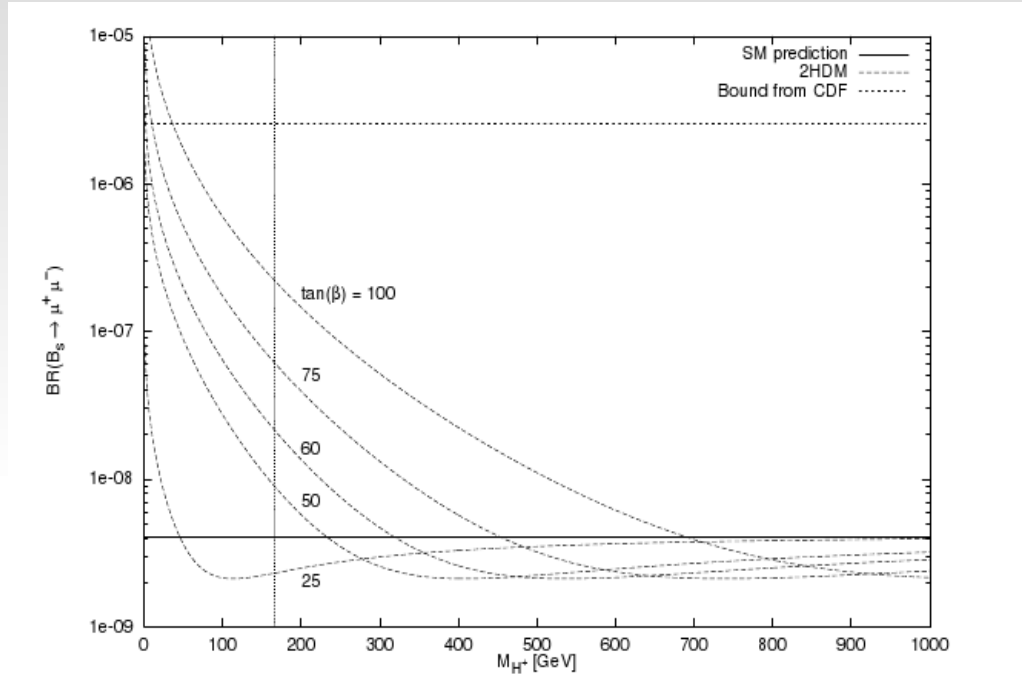
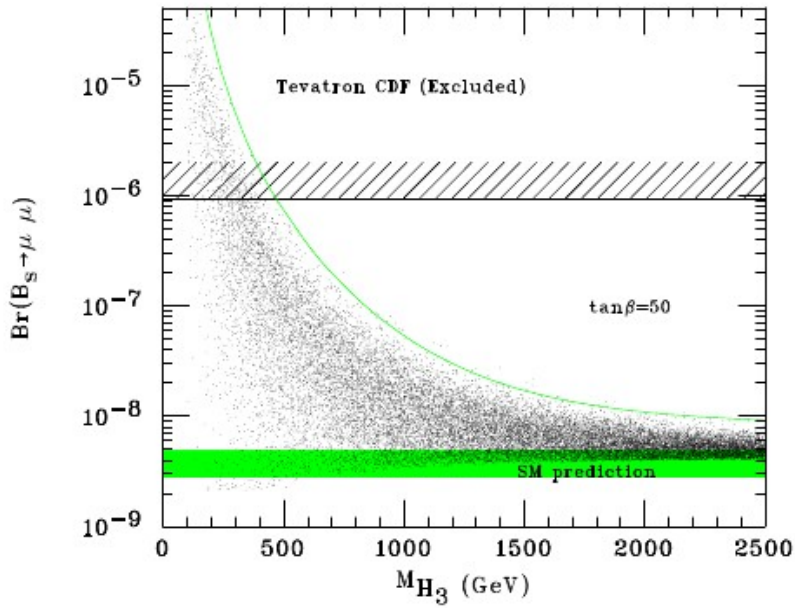
- MSSM predictions, MFV, for large $\tan\beta$ no squark mixing

$$B(B_q \rightarrow \ell^+ \ell^-)_{\text{SUSY}} \propto \frac{m_b^2 m_\ell^2 \tan^6 \beta}{M_{A^0}^4}$$

- i.e. BR enhanced wrt the SM
- models with additional Higgs bosons
- Extension to more general MSSM at all $\tan\beta$ and including FV in squark mixing: BR can be even suppressed wrt to the SM

$B_s \rightarrow \mu\mu$: NP

Desde 03: MSSM Higgs penguin

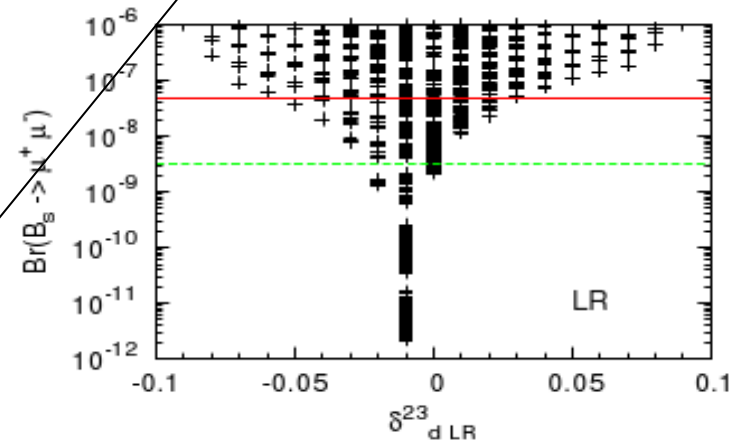
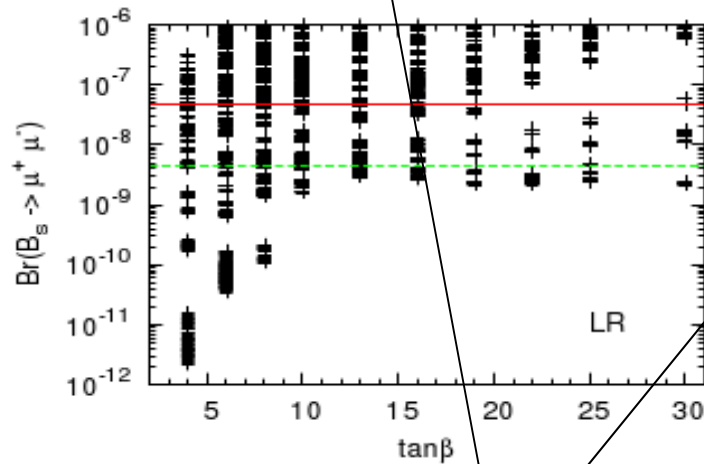
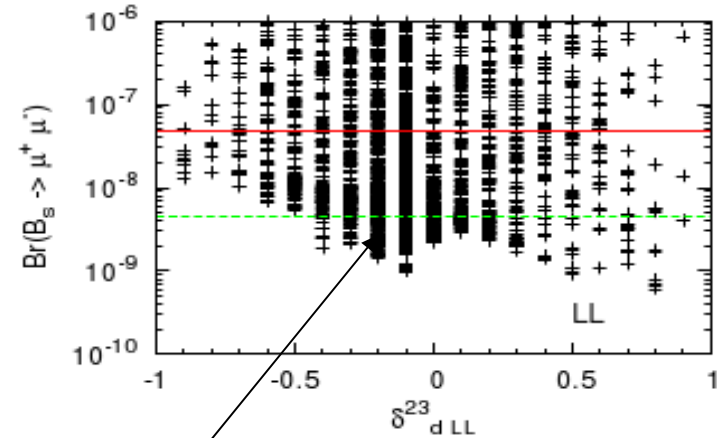
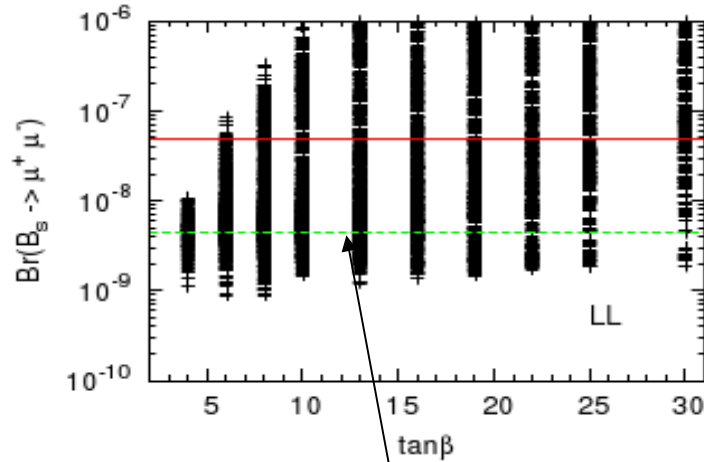


Logan, Nierste00 : Higgs doublet

$B_s \rightarrow \mu\mu$: NP

Desdes et al 2008

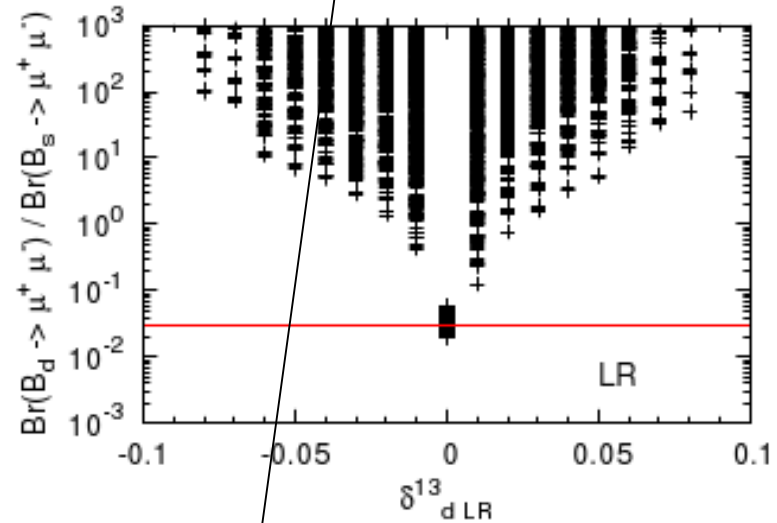
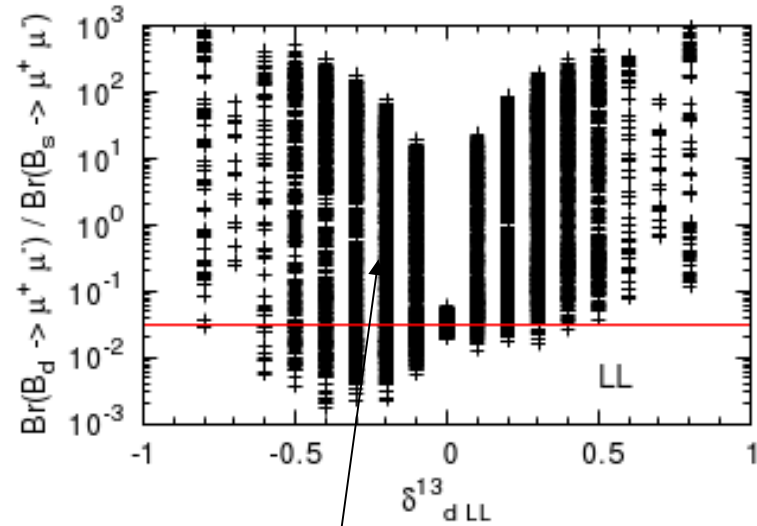
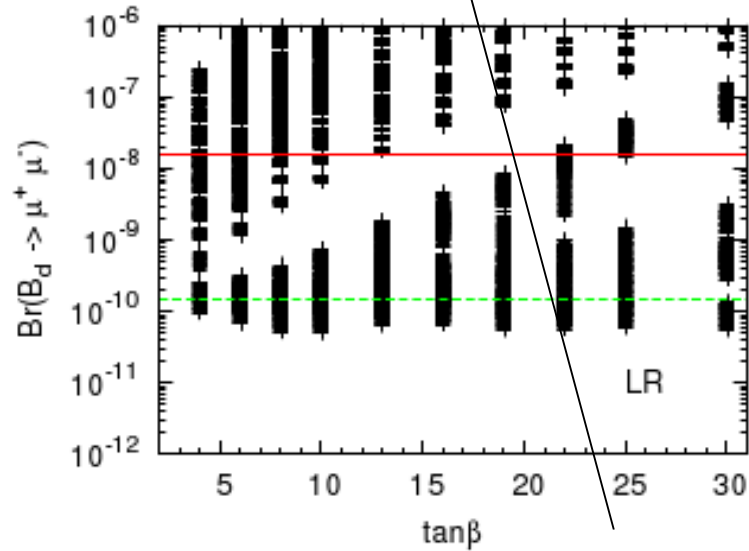
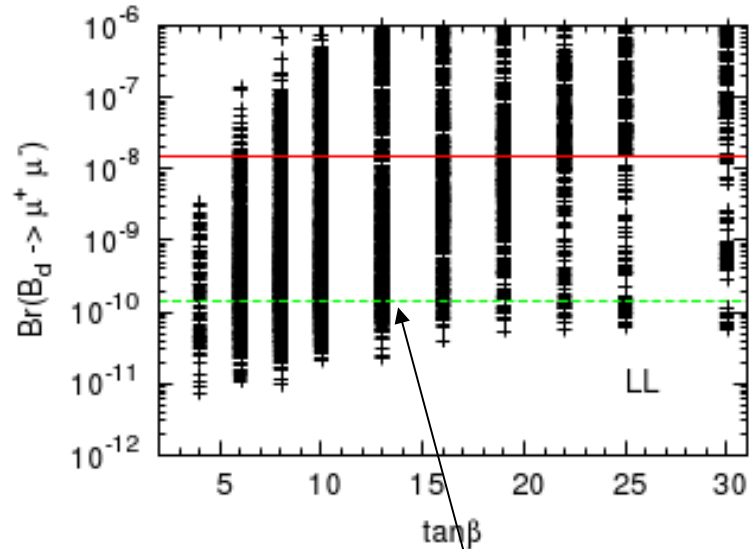
most general analysis in MSSM



EVEN BELOW SM PREDICTION: many thanks to Desdes from the LHCb collaboration!!!

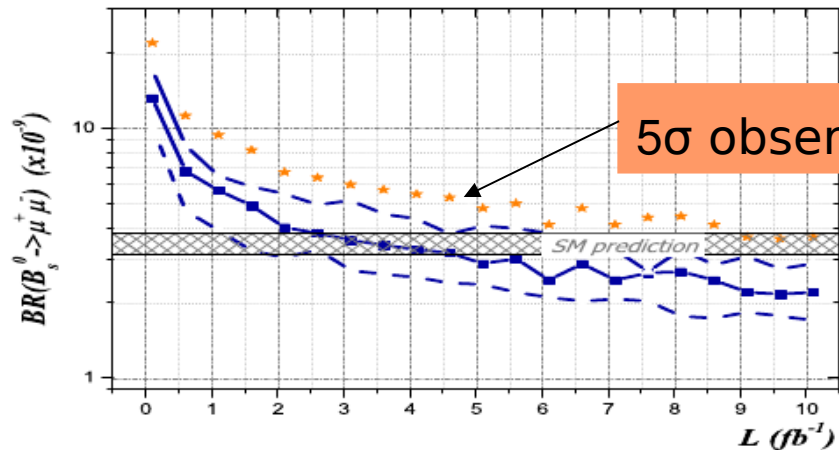
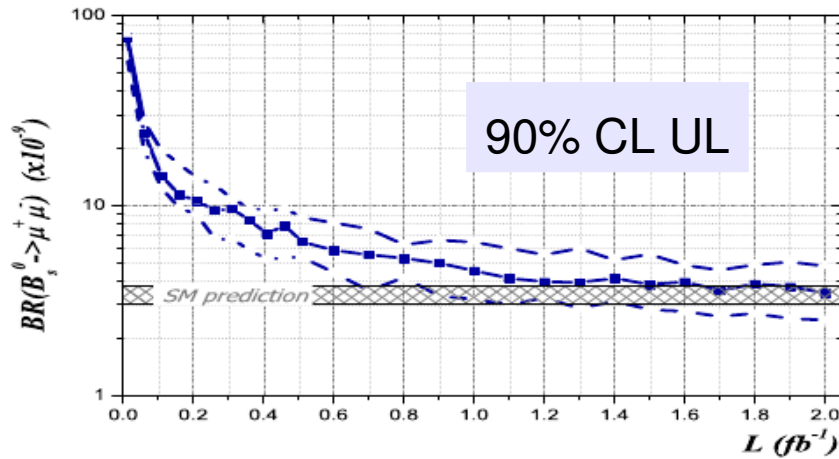
Desdes et al 2008

$B_s \rightarrow \mu\mu$: NP



BR(Bs)/BR(Bd) CAN BE VERY DIFFERENT FROM MFV EXPECTATION

$B_s \rightarrow \mu\mu$: LHCb sensitivity



100fb⁻¹ 5 σ observation BR(B_s)~10⁻⁹
 B_d→μμ observation feasible, if I we can suppress B_d→hh (dominated by decays in flight).

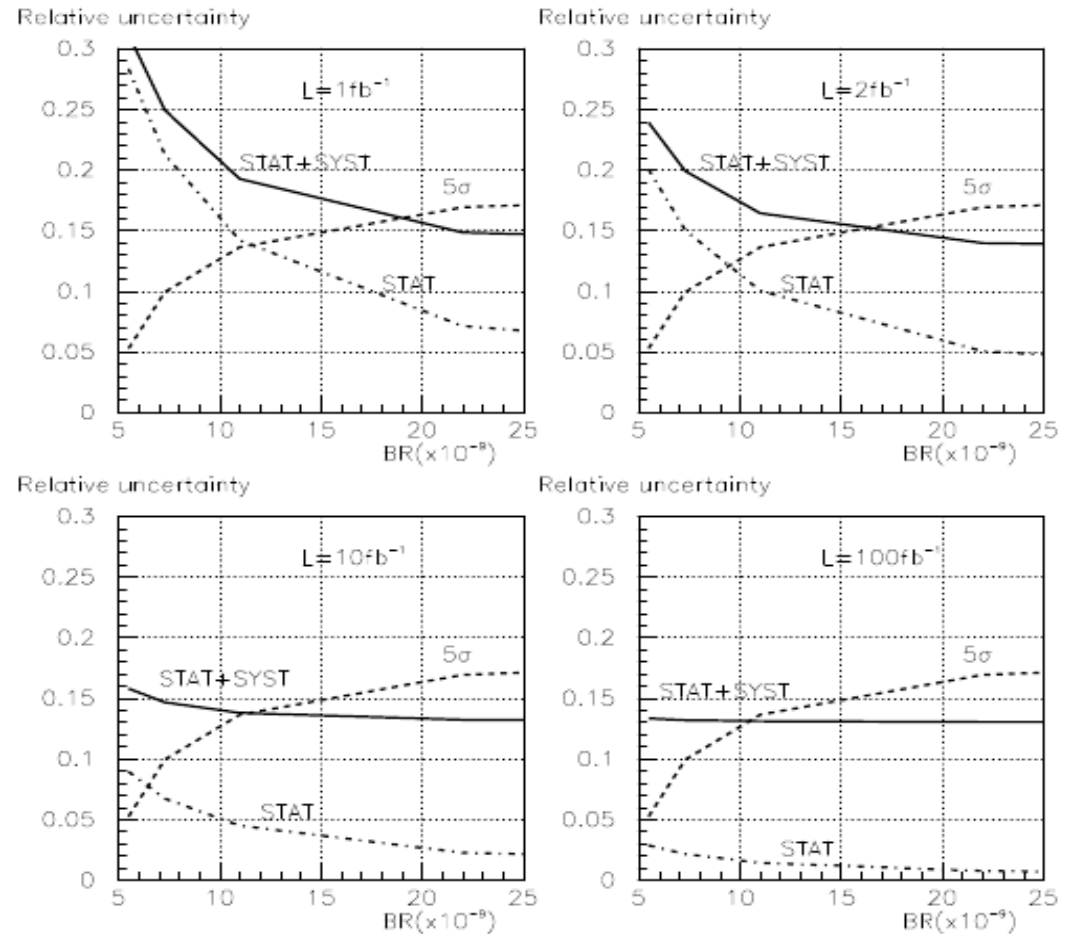
if the cuts remain the same vs L(MC background Lumi only 5pb⁻¹).

But...beware!

The BR is obtained normalising to $B_d \rightarrow 13\%$ systematic irreducible error

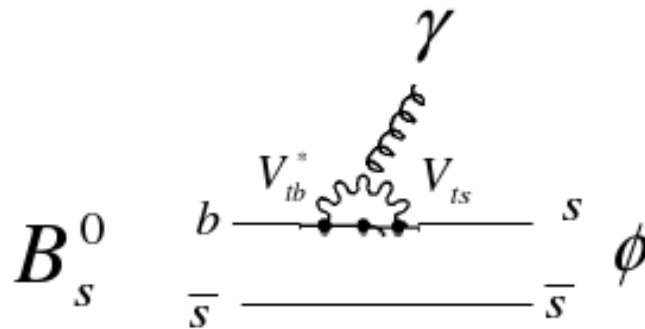
if NP enhances the BR the minimum BR which can be observed incompatible to 5σ with the SM is at high L only $\sim 10^{-8}$!!!

With BELLE ($Y(5s)$) the 13% could go down to 10% \rightarrow lattice?



Bs \rightarrow ϕ γ

- NP appears not only in modifications of Br, but also in asymmetries and the angular effects
- Not *so rare* decays
 - $\text{Br}(B \rightarrow K^{*0} \gamma) = (4.3 \pm 0.4) \times 10^{-5}$
 - $\text{Br}(B_s \rightarrow \Phi \gamma) = (3.8 \pm 0.5) \times 10^{-5}$
- 1-amplitude dominance and one Wilson coefficient $C_7^{\text{eff}}(\mu)$
- “Direct” asymmetries are small ($< 1\%$) for $b \rightarrow s \gamma$ & a bit larger $O(10\%)$ for $b \rightarrow d \gamma$
- Photons are polarized: i.e. B decays to left handed and Bbar to right handed (up to ms/mb correction) --> mixing induced CP asymmetry almost zero if no chirality flipping interactions
- NP (LR symmetric models and MSSM) predict large chirality flippings



Bs \rightarrow $\phi\gamma$

TDCPV \rightarrow interference between mixing and decay; if chirality flipping \rightarrow decay to CP eigenstate

$$\Gamma(B_q(\bar{B}_q) \rightarrow f^{CP}\gamma) \propto e^{-\Gamma_q t} \left(\cosh \frac{\Delta\Gamma_q t}{2} - \mathcal{A}^\Delta \sinh \frac{\Delta\Gamma_q t}{2} \pm \right. \\ \left. \pm \mathcal{C} \cos \Delta m_q t \mp \mathcal{S} \sin \Delta m_q t \right) ; \tan \psi \equiv \left| \frac{A(\bar{B} \rightarrow f^{CP}\gamma_R)}{A(\bar{B} \rightarrow f^{CP}\gamma_L)} \right|$$

In the SM

$$\mathcal{S} \approx \sin 2\psi \sin \varphi, \quad \mathcal{A}^\Delta \approx \sin 2\psi \cos \varphi, \quad \mathcal{C} \approx 0.$$

For Bd $\Delta\Gamma$ negligible \rightarrow only S with $\Phi = \beta$

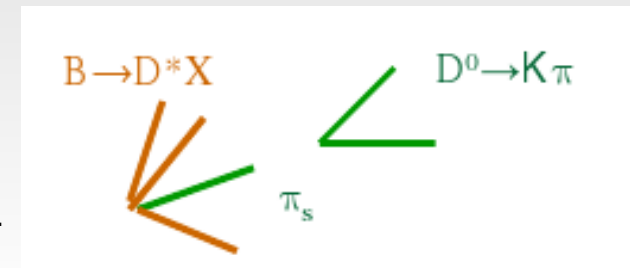
For Bs $\Delta\Gamma$ sizeable \rightarrow but $S \sim \sin 2\Phi^* (\sim 0)$
 \rightarrow sensitivity through A^Δ i.e. independent of $\Phi = \beta_s$

ALLOWS DISTINCTION BETWEEN NP IN MIXING
 AND IN RIGHT HANDED CURRENTS

- Upgraded LHCb sensitivity to $A^{\Delta\Gamma}$ is **0.03**
- Reaches the level of theoretical uncertainties

Charm physics

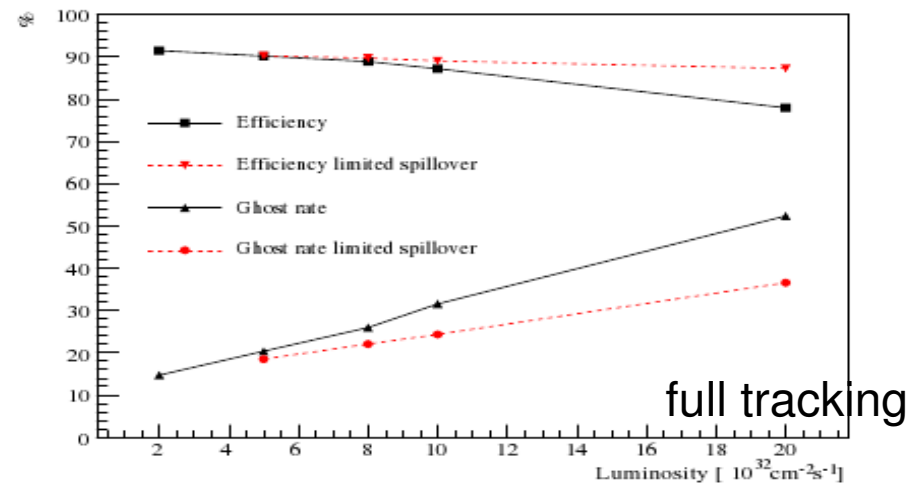
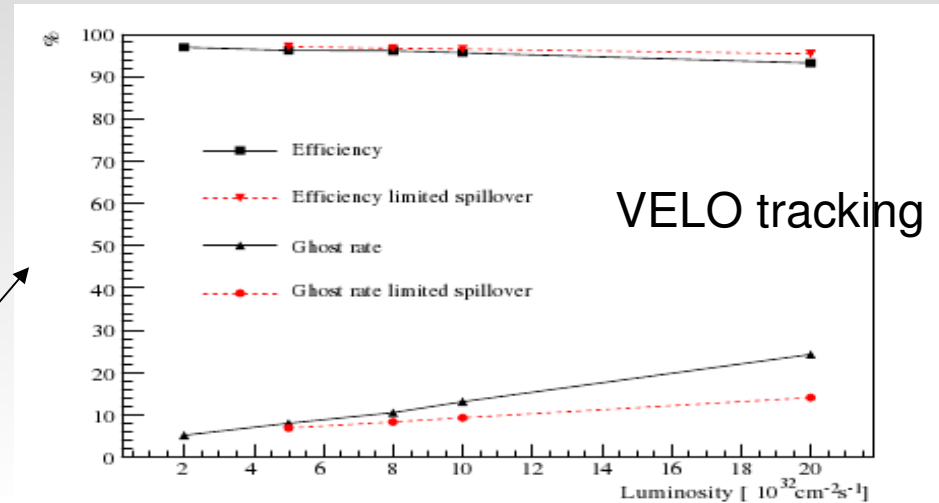
- Charm physics is now firmly part of baseline LHCb physics
- Potential to perform world-best measurements using charm from D^* produced in B decays found in HLT trigger stream.
- Partially reconstruct B decay vertex to find birth position of D^0 gives good proper time resolution
- Studies in benchmark analyses - x'^2 and y' from WS $D^0 \rightarrow K\pi$; y_{CP} from KK show great promise;
 - $\sigma(x'^2) \sim 6 \times 10^{-5}$, $\sigma(y') \sim 9 \times 10^{-4}$, $\sigma(y_{CP}) \sim 5 \times 10^{-4}$ in 10fb^{-1}
- upgrade yield in $B \rightarrow D^*X$, tagged WS $D^0 \rightarrow K\pi \sim 2 \cdot 10^6$
- Charm CPV (in mixing, decay or mix-decay interference) is expected to be tiny in the SM, but can certainly be enhanced by NP. Particularly interesting case: SCS decays, where effects of SM and NP will be largest.
- LHCb has statistics to have world best sensitivity in charm CPV; and the upgrade can push limits much further
 - eg. upgrade yield in $B \rightarrow D^*X$, $D^0 \rightarrow KK \sim 2 \cdot 10^8$ (cf. BaBar 130k in 390fb^{-1})
- Statistics to push sensitivity down to $< 10^{-4}$ - enough to see SM CPV ?



Main limitations of the present detector

Upgrade should involve (at least) factor 10 increase in statistics – so investigate the feasibility of higher luminosity running:

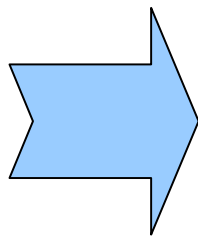
- Limitation from L0 trigger (see after)
- Radiation damage
 - Spec was for less than 20 fb^{-1}
 - Principally affects large η
- Tracking and particle ID:
 - Straws: significant problems from spill-over above $10^{33} \text{ cm}^{-2}\text{s}^{-1}$
 - Steady (but slow) degradation of hadron PID and tracking with lumi
 - Si tracking however fine



What to improve beyond L?

Decay channel	ϵ_{det}	$\frac{\epsilon_{\text{rec}}}{\epsilon_{\text{det}}}$	$\frac{\epsilon_{\text{sel}}}{\epsilon_{\text{rec}}}$	$\frac{\epsilon_{\text{trg}}}{\epsilon_{\text{sel}}}$	ϵ_{tot}
$B_s \rightarrow \phi\phi$	6.7	79.7	37.9	23.2	0.470
$B^0 \rightarrow K^{*0} \mu^+ \mu^-$	7.2	82.4	16.1	73.5	0.704

already almost at maximum possible

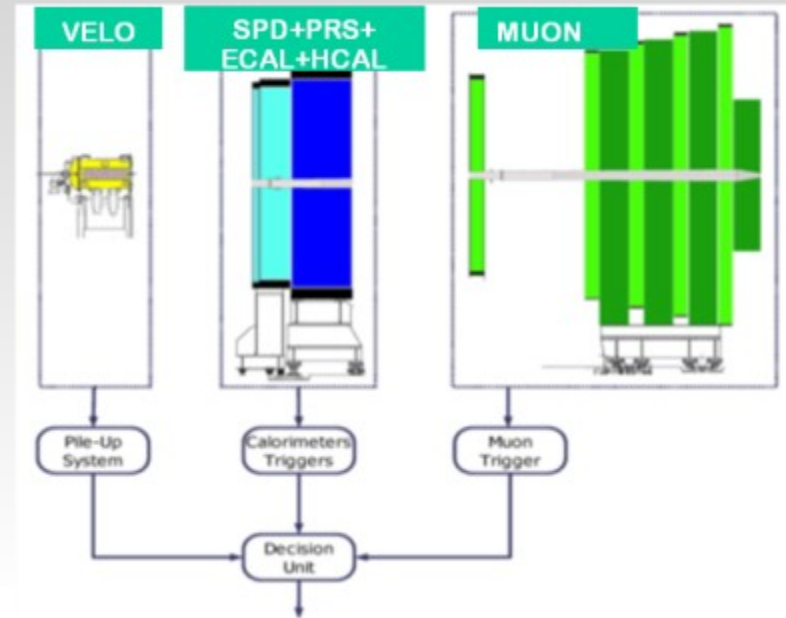


improve trigger efficiency for hadronic channels

The present LHCb trigger

L0 hardware based:

- largest Et hadron, e(γ) and μ
- if $L=2 \rightarrow 5 \cdot 10^{32}$, hardwired bottlenecks:
 - 1MHz max-output rate
 - Latency: $2.5\mu\text{s}$ for trigger
- L0 retention $\sim 10 \rightarrow 5\%$

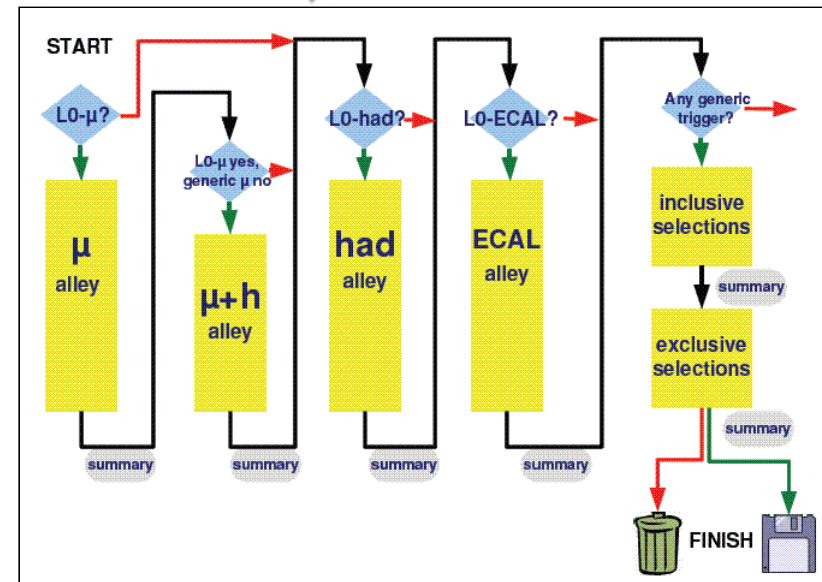


HLT PCfarm of ~ 2000 multicore boxes

Full detector information available

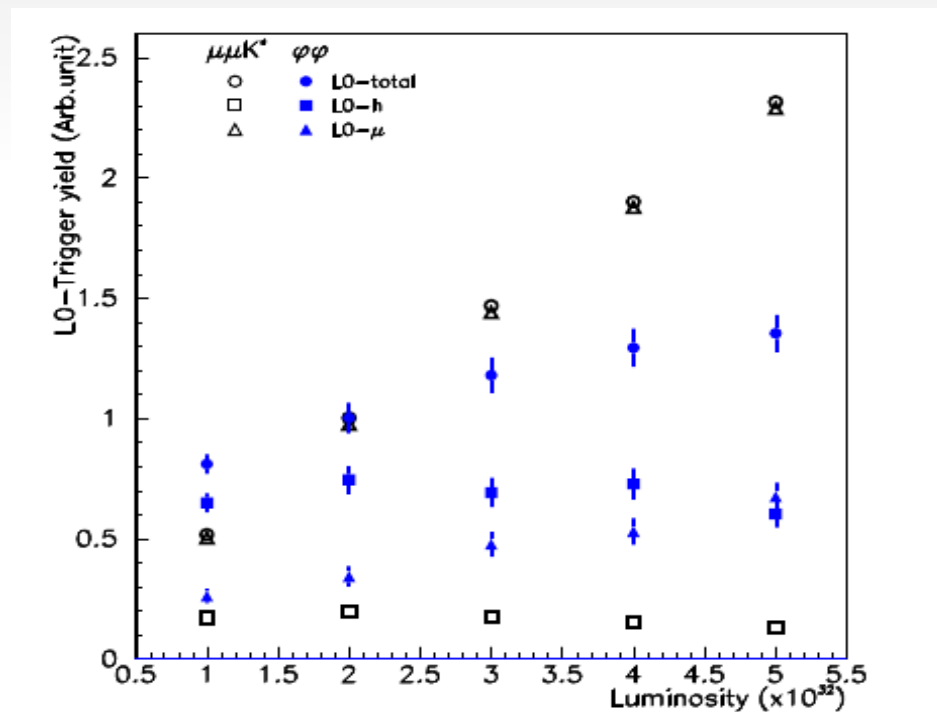
Only limit is CPU time

- First uses tracking information to **confirm L0 objects \oplus optional IP Cut**
- rate reduced to **$\sim 30\text{kHz}$**
- Then build **inclusive** and **exclusive** selections: full event reconstruction



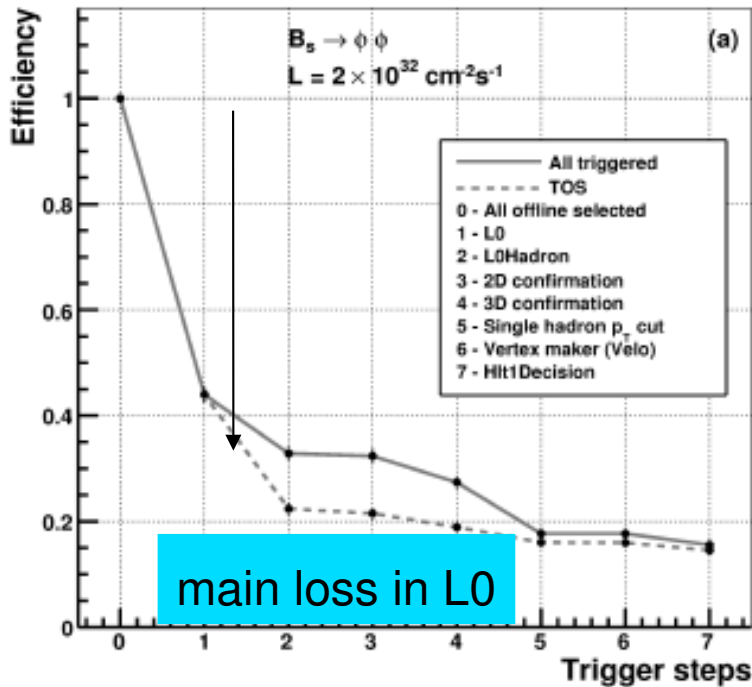
Limitation of L0 and effect on physics

- if $L > 2-3 \times 10^{32}$ no hadron trigger gain since due to the 1MHz bottleneck --> Et cut rises
- main problem->hadron trigger

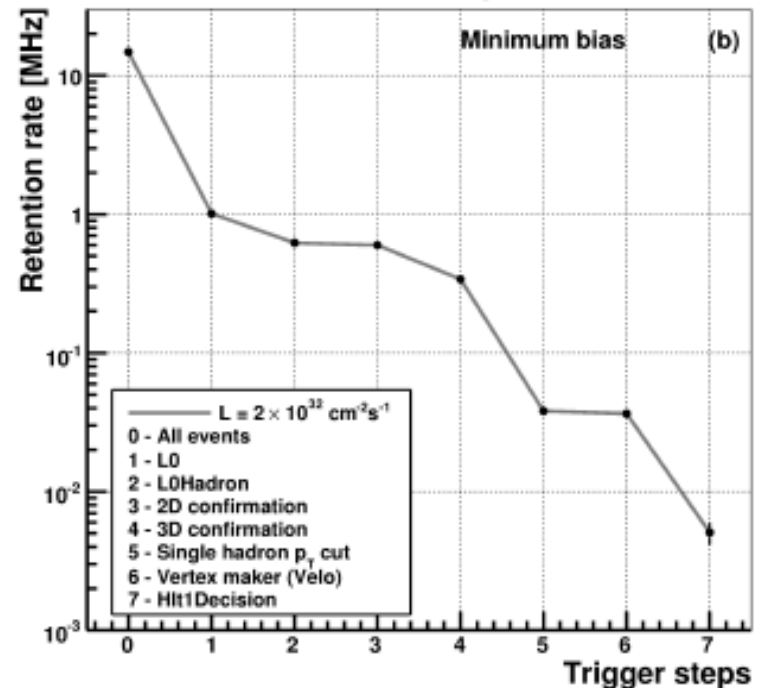


Present L0+HLT1 hadron line

- L0-Hadron: 1.3 clusters/event with $E_{\text{hadron}} > 4$ GeV. (TOS=Trigger on Signal)
- 2D/3D Confirmation: Match Clusters→VELO, $IP > 100 \mu\text{m}$: 2.2 tracks/event.
- Single hadron p_T cut: Forward tracking to T-stations: $p_T > 2$ GeV: 1.2 tracks/event.
- Velo Vertex: Vertex with other VELO tracks with $IP > 100 \mu\text{m}$ (12/event): 4 vertexes/event.
- Hlt1Decision: 2nd track in vertex →T1-T3, $p_{T2} > 1$ GeV.



$B_s \rightarrow \phi\phi$ efficiency: 18% (16% TOS)

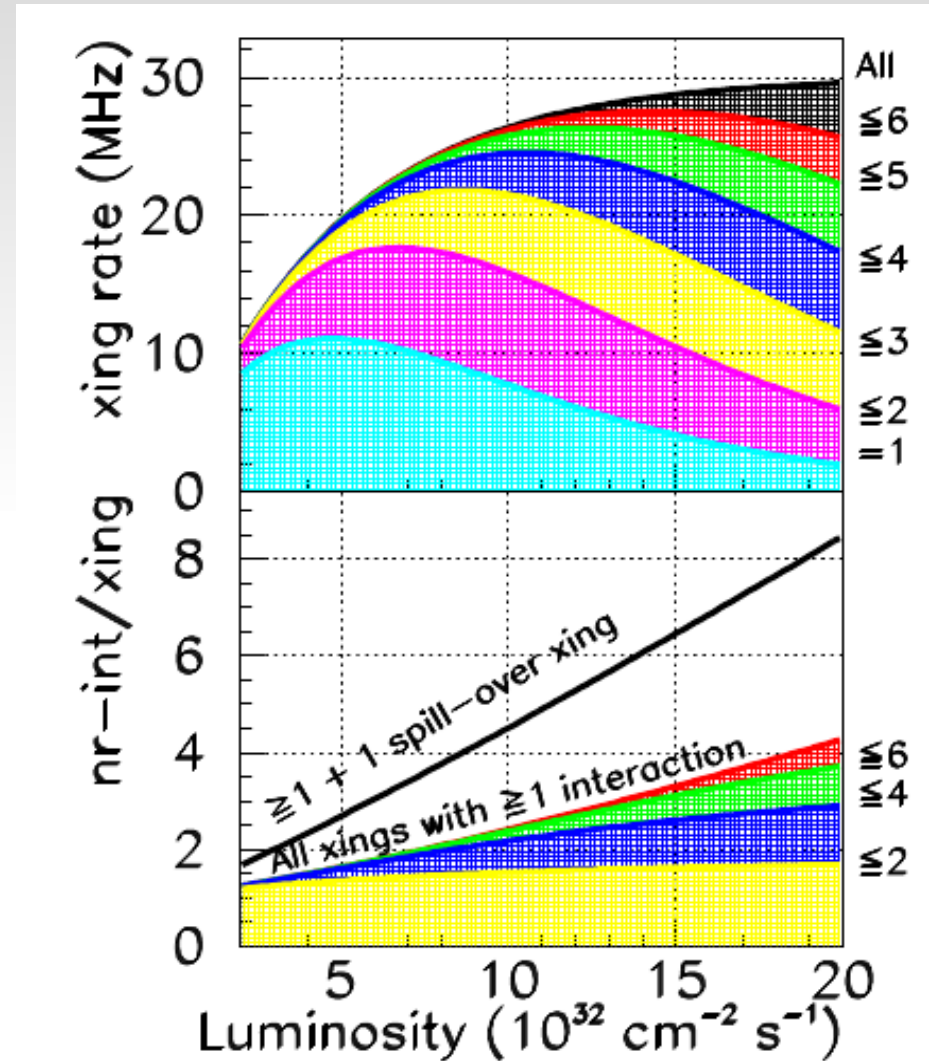


Minimum bias rate: ~7 kHz

2000

LHC and the luminosity

- Assume $\sigma(\text{visible}) = 63 \text{ mb}$.
 - @ $2 \cdot 10^{32}$: $\sim 10 \text{ MHz}$ xings with $\geq 1 \text{ int.}$
 - @ 10^{33} : $\sim 26 \text{ MHz}$ xings with $\geq 1 \text{ int.}$
- nr-int/xings: only factor 2 increase up to @ 10^{33}
- spill over in the OT increases by a factor of 3

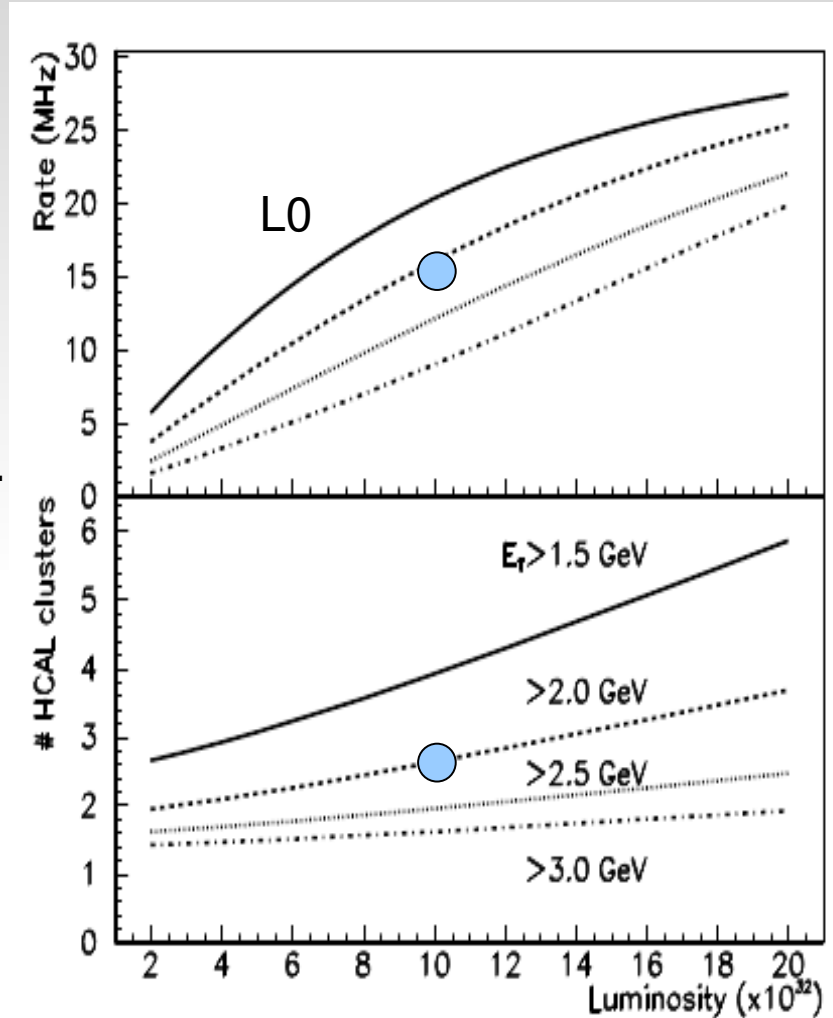


How to upgrade the trigger?

- Several (MC) studies done, conclusions:
 - Need to reconstruct all primary vertexes (PV) per bunch crossing.
 - Need to measure impact parameter (IP) of tracks to any PV.
 - Need to measure pT of tracks with significant IP
- So a design for First level trigger: cut on pT .AND.IP/track simultaneously.
- To achieve the above: perform trigger in software on a large CPU farm capable of coping with an input rate up to 30 MHz.
- This gives the additional flexibility to adapt to the physics landscape in the next decade.
- Note:
 - some FE are limited to 1 MHz read-out rate.
 - 2.5 μ s is maximum time for a trigger reconstruction+decision, far too short for a CPU farm to return the trigger decision.
- As a consequence All FE electronics has to be able to read-out at 40 MHz.

Hadron trigger at 10^{33} : min bias

- Compare $2 \rightarrow 10 \times 10^{32} \text{ cm}^{-2} \text{ s}^{-1}$:
- Nr “seeds”/event $1.3 \rightarrow 2.5$ for $3.6 \rightarrow 2 \text{ GeV}$ cut.
- Input rate $1 \rightarrow 15 \text{ MHz}$
- Prospects for full software algorithm look good, since nr “seeds”/event does not increase too much.



Hadron trigger at 10^{33} : new tuning of HLT1

very preliminary

Di Hadron line	Present HLT1		Upgraded HLT1	
	No Fit	Fit	No Fit	Fit
Global $E_{t\text{ HCAL min}}$ (GeV)	4	3.5	2	2
$E_{t\text{ HCAL min}}$ (GeV)	4	2.5	2	1.2
$\chi^2_{N.d.o.f\ 2D\ max}$	-	-	1	1.5
$\theta_{2D\ min}$ (mrad)	-	-	28	23
$P_{t\ leading\ min}$ (GeV)	2.5	1.5	1.5	1.25
$P_{t\ companion\ min}$	1.0	1.0	1.5	1.0
$IP_{tracks\ min}$ (mm)	0.1	0.1	0.1	0.12
$DOCA_{max}$ (mm)	0.2	0.2	0.07	0.08
$d_z\ min$ (mm)	-	-	2	2
$d_z\ max$ (mm)	-	-	80	100
$d_r\ max$	-	-	5.8	5.8
VtxPoint max	0.4	0.4	0.35	0.3

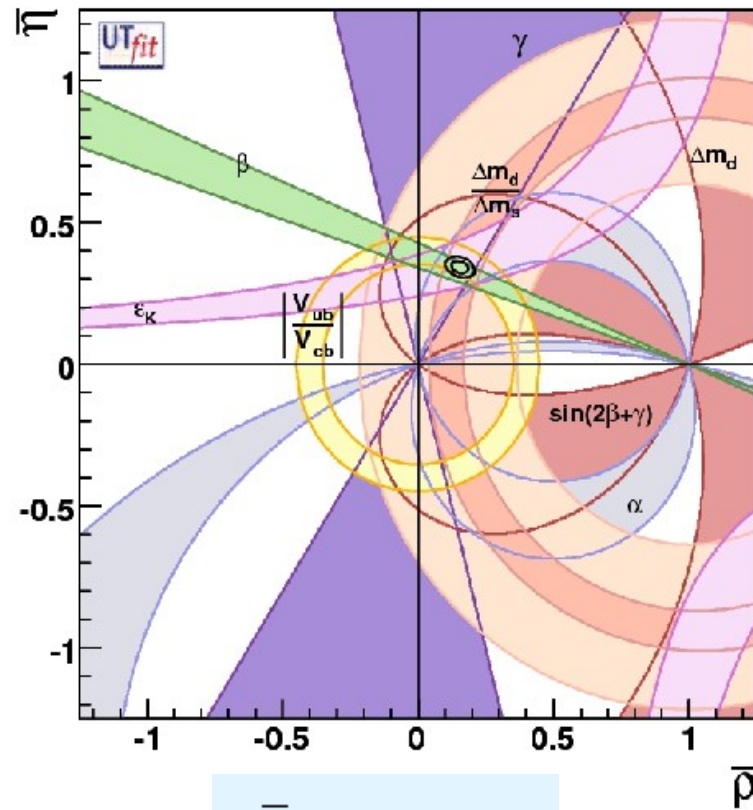
Di Hadron line	Present HLT1 $2 \times 10^{32}\ cm^2s^{-1}$		Upgraded HLT1 $10 \times 10^{32}\ cm^2s^{-1}$		Present HLT1 Fit GEC 2.10 ³²
	No Fit	Fit GEC	No Fit	Fit	
Minimum Bias	$7 \pm 2\ kHz$	10 kHz	$35 \pm 4\ kHz$	$28 \pm 4\ kHz$	6 kHz
2-prong ($B_s \rightarrow \pi K$ in [16] $B_d \rightarrow \pi\pi$ otherwise)	50% [17]	47% (TOS)	51%	53% (TOS) 54%	39% (TOS)
3-prong ($B_s \rightarrow D_s\pi$ in [16] $B_s \rightarrow D_s K$ otherwise)	37% [17]	36% (TOS)	41.8%	52% (TOS) 53%	30% (TOS)
4-prong ($B_s \rightarrow \phi\phi$)	18% [17]	22% (TOS)	34.8%	43% (TOS) 45%	18% (TOS)

Conclusion

- Physics case for an LHCb upgrade rather solid:
 - for many observables with 10fb^{-1} we will not reach the theoretical limit
 - opportunity to study the nature of NP discovered during the first phase of LHC
- Trigger design can cope with rate
- need to start asap with detector and DAQ/electronics developments

the end

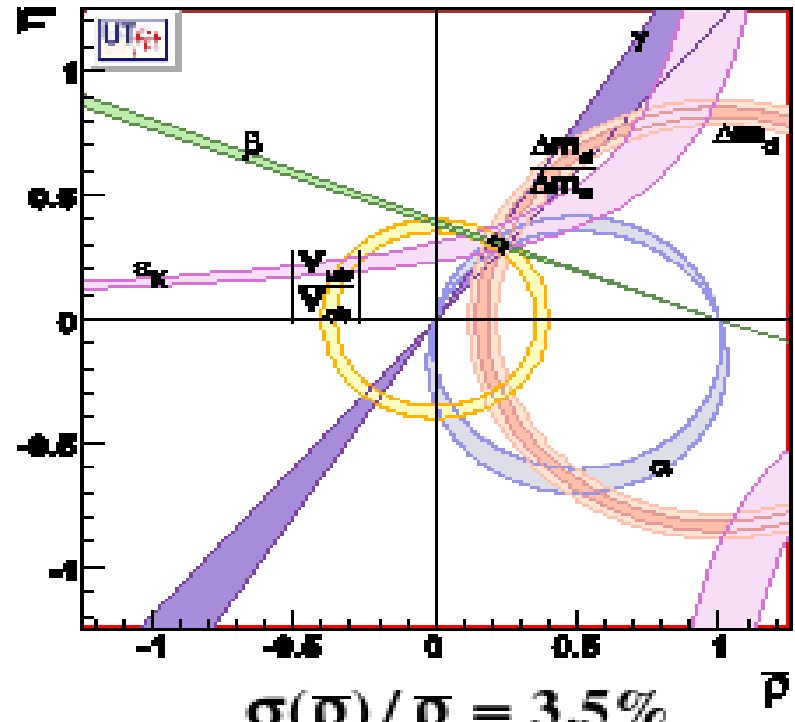
LHCb physics in 10fb^{-1}



NOW

$$\begin{aligned} \bar{\rho} &= 0.155 \pm 0.022 \\ \bar{\eta} &= 0.342 \pm 0.014 \end{aligned}$$

With LHCb at $L=10\text{fb}^{-1}$



$$\sigma(\bar{\rho}) / \bar{\rho} = 3.5\%$$

$$\sigma(\bar{\eta}) / \bar{\eta} = 1.7\%$$

courtesy Vagnoni

if all Standard Model