

The background of the slide is a scenic landscape featuring a calm lake in the foreground, a small island with trees in the middle ground, and snow-capped mountains in the distance under a clear sky. The image is dimmed to allow text to be read.

Experimental status of the CKM matrix

A personal (and biased!) selection of topics

José Ocariz

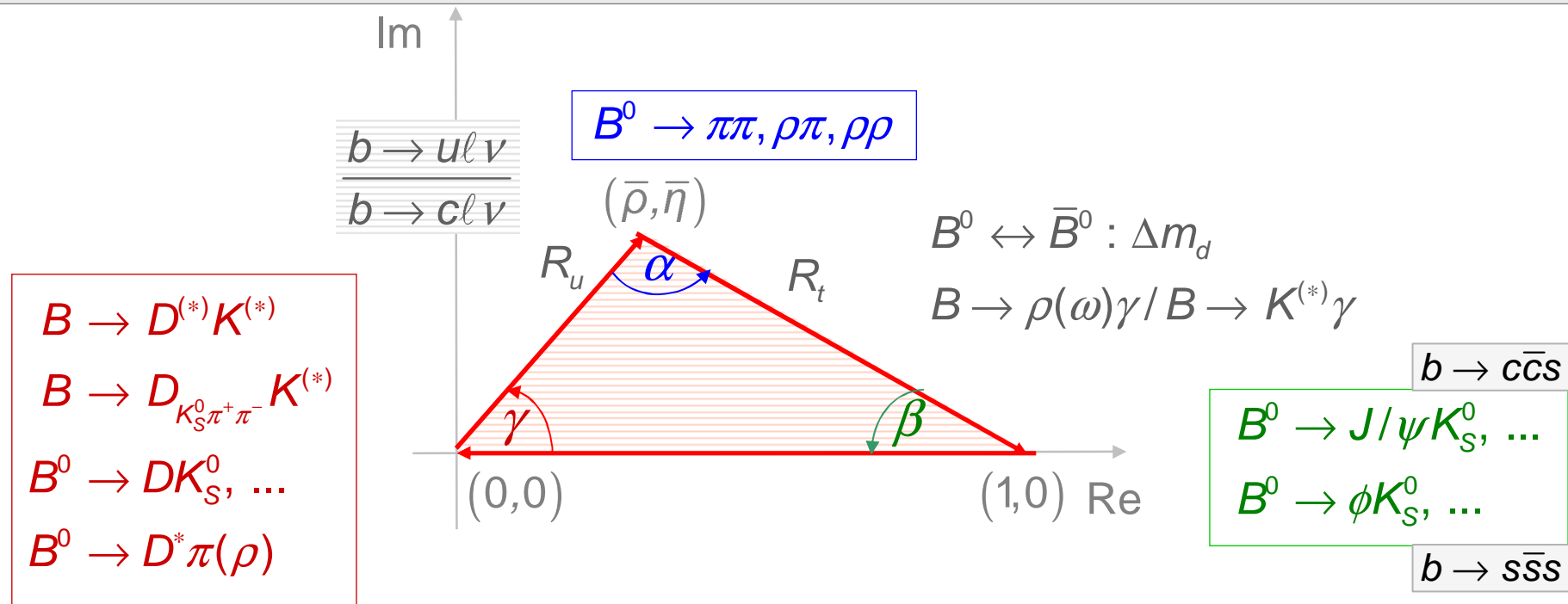
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This talk

- **Many subjects to choose from !**
 - **we had excellent discussions on V_{ub} and B_S .. skip**
 - **concentrate on tests of CKM angles as of today**
 - **A few words on the physics potential of K physics**
 - **Quasi-backup : places where the global CKM fit hints at $\sim 2\sigma$ effects**

The case for the B factories

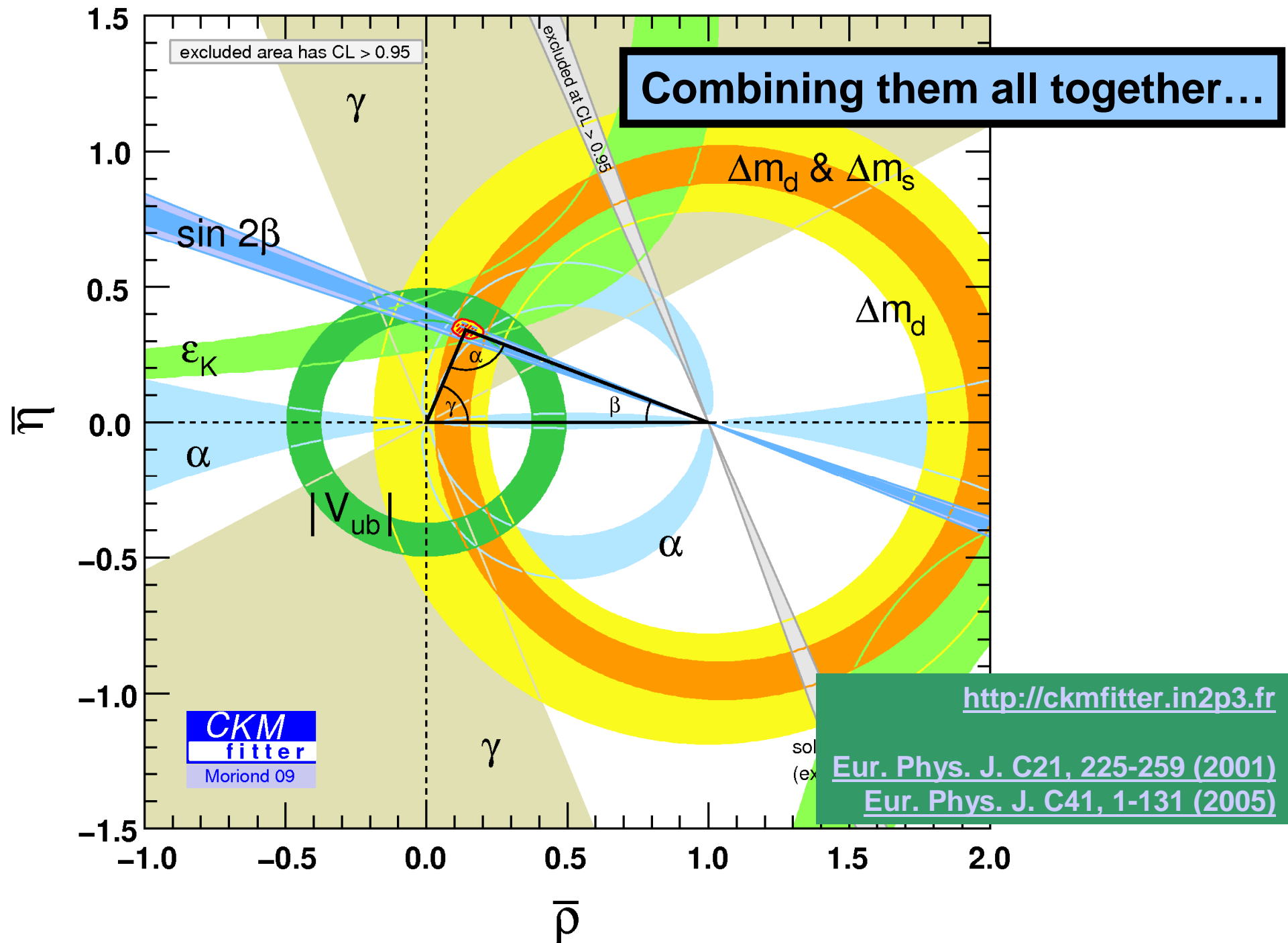


Several CKM-related observables can be accessed by studying B decays

- overconstrain UT sides and angles

The CKM mechanism predicts specific correlation patterns :

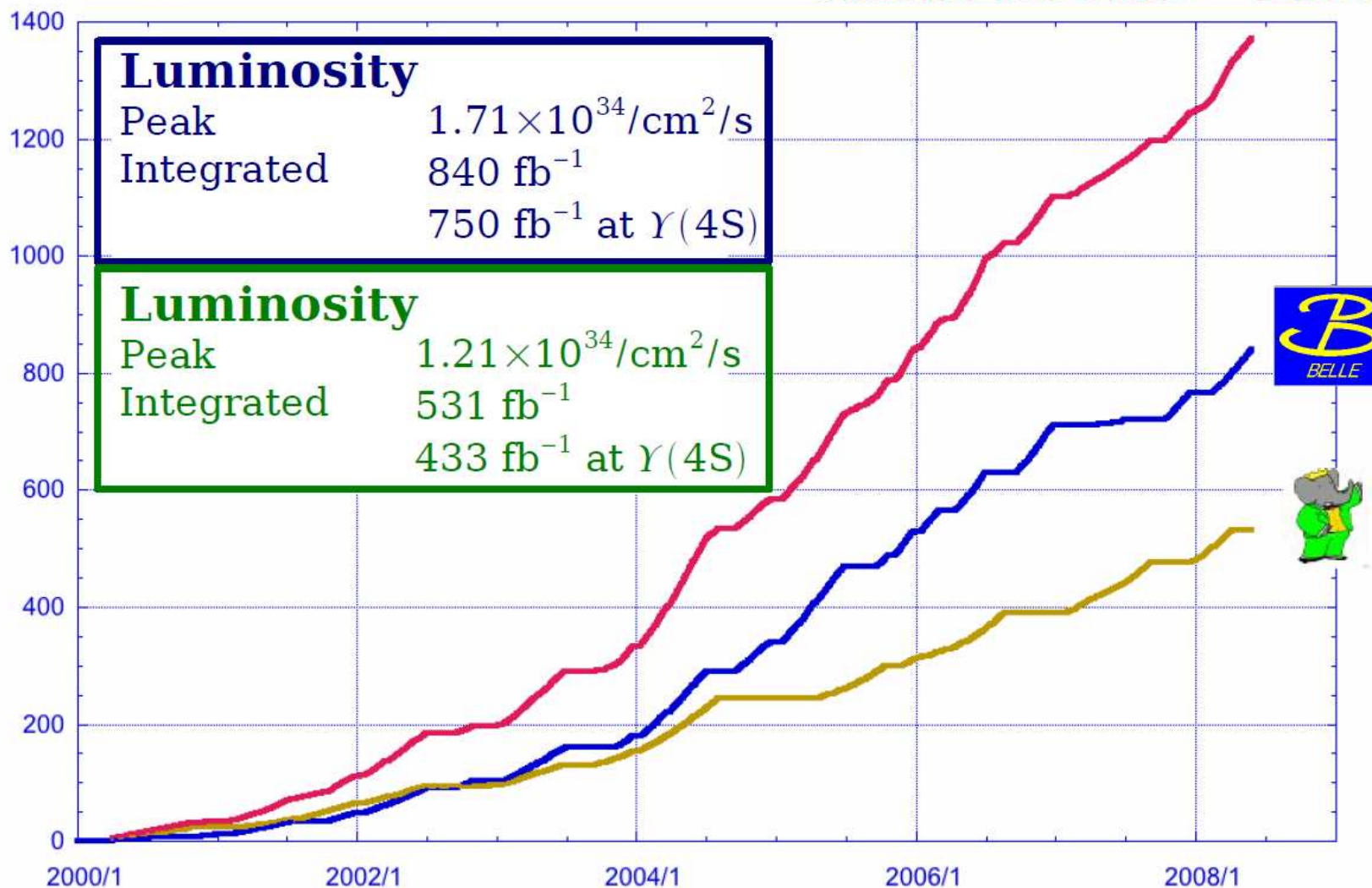
- Any deviation from CKM would be a sign of non-SM physics !
- The structure of these deviations could teach us about New Physics



Combined B-factory data sample

Luminosity (fb^{-1})

cumulated stat: $\sim 1400 \text{fb}^{-1}$



BaBar: $\sim 465 \times 10^6 B\bar{B}$ pairs = final sample

Belle: $\sim 657 \times 10^6 B\bar{B}$ pairs = max. current sample (final sample will probably be $\sim 800 \times 10^6 B\bar{B}$ pairs)

Experimental Technique : time-dependent CP asymmetries

- CP Violation due to the interference of decays with and without mixing

$$\text{Prob}(\bar{B}^0(t) \rightarrow f_{CP}) \neq \text{Prob}(B^0(t) \rightarrow f_{CP})$$

- Direct CP Violation due to interference of decay amplitudes with different weak and strong phases

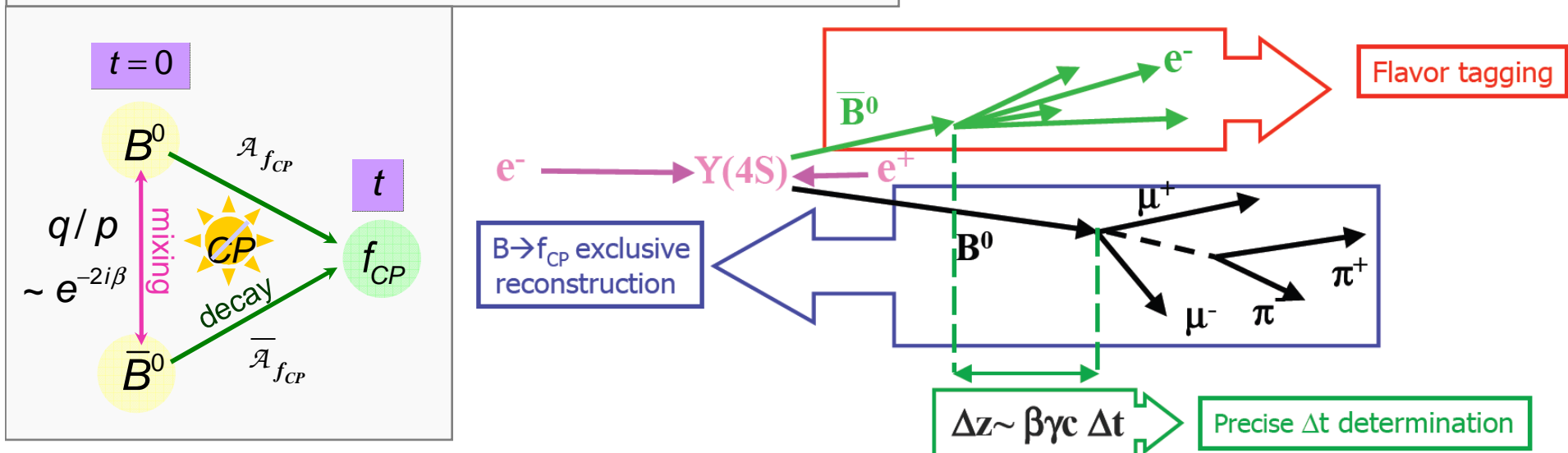
$$\text{Prob}(\bar{B} \rightarrow \bar{f}) \neq \text{Prob}(B \rightarrow f)$$

- Time-dependent CP asymmetries :

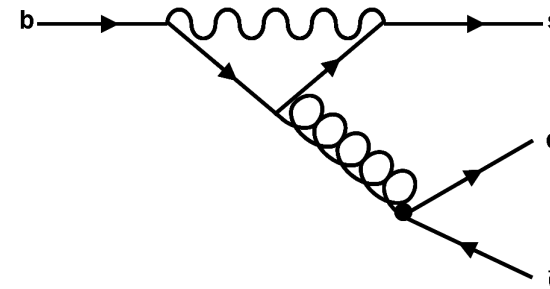
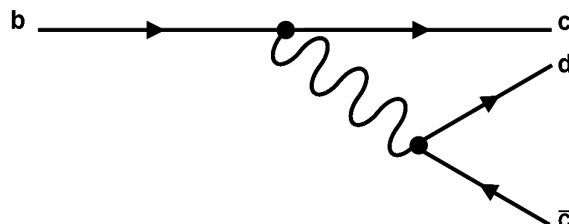
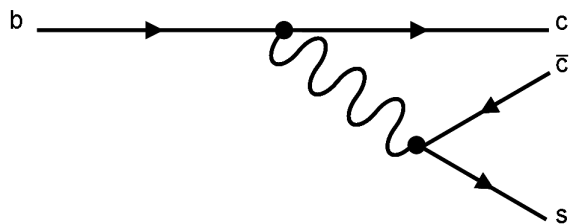
$$\frac{\Gamma(\bar{B}^0(t) \rightarrow f_{CP}) - \Gamma(B^0(t) \rightarrow f_{CP})}{\Gamma(\bar{B}^0(t) \rightarrow f_{CP}) + \Gamma(B^0(t) \rightarrow f_{CP})} = S_{f_{CP}} \sin(\Delta m_d t) - C_{f_{CP}} \cos(\Delta m_d t)$$

for $b \rightarrow c\bar{c}s$ modes ("golden")
i.e. ($B^0 \rightarrow J/\psi K^0_s$)

$$S_{f_{CP}} = \sin 2\beta \quad C_{f_{CP}} = 0$$



The path to β : reference decay modes



$b \rightarrow c \bar{c} s$

(charmonium)
Tree dominance
“golden modes”

$b \rightarrow c \bar{c} d$

(charmonium, open charm)
Tree dominance
Loops may contribute

$b \rightarrow q \bar{q} s$

(charmless)
Penguin dominance :
sensitive to non-SM loops
Beware of “tree pollution”

$$S = \sin 2\beta, C = 0$$

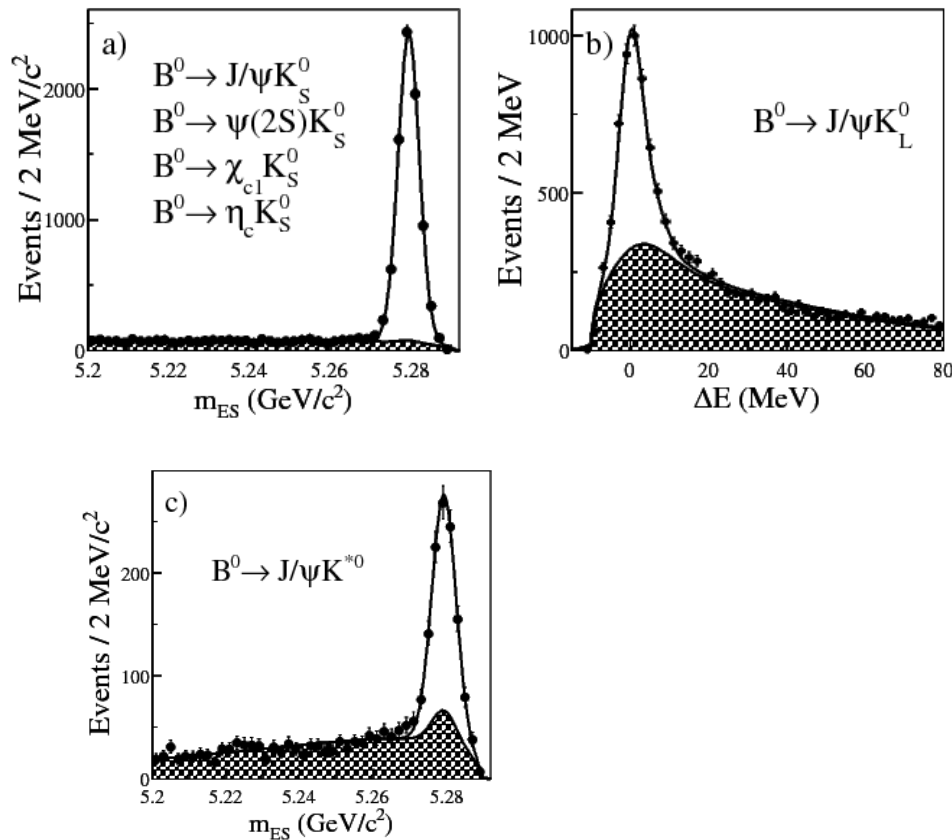
$$S \sim \sin 2\beta, C \sim 0$$

$$\begin{aligned} J/\psi K_S^0 &, \psi(2S) K_S^0 \\ \chi_{c1} K_S^0 &, \eta_c K_S^0 \\ J/\psi K_L^0 &, J/\psi K^{*0} \end{aligned}$$

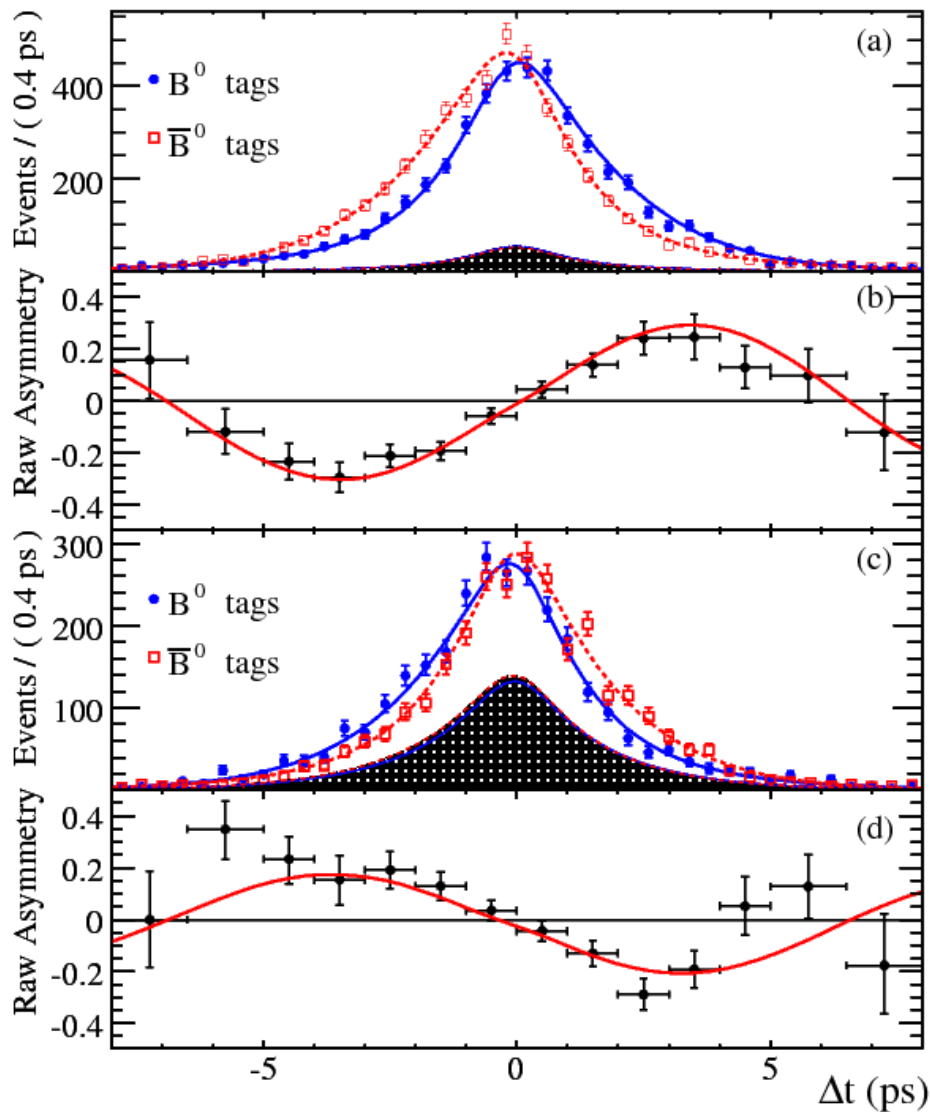
$$\begin{aligned} J/\psi \pi^0 &, D^+ D^- \\ D^{*+} D^- &, D^{*+} D^{*-} \end{aligned}$$

$$\begin{aligned} \phi K^0 &, \eta' K^0 \\ K_S K_S K_S &, \pi^0 K_S \\ \rho^0 K_S &, \omega K^0 \\ f_0 K_S &, \pi^0 \pi^0 K_S \\ \phi \pi^0 K_S &, K^+ K^- K_S \end{aligned}$$

The path to β with $b \rightarrow c\bar{c}s$

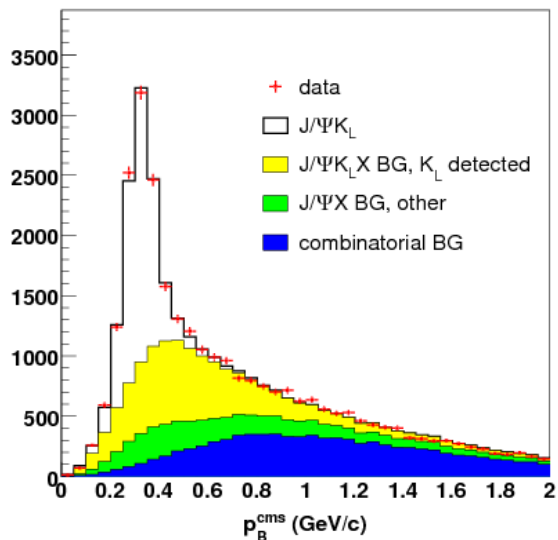
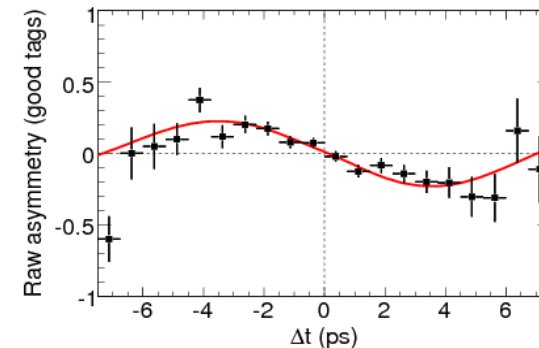
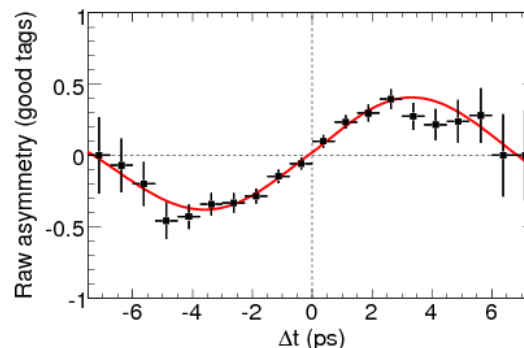
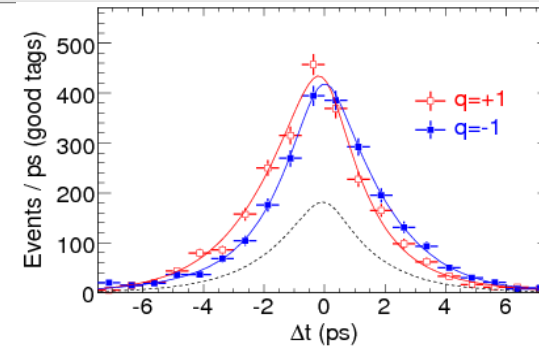
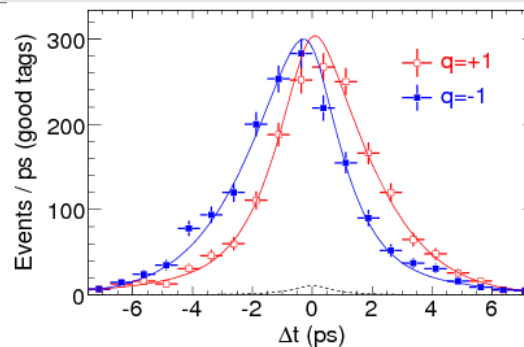
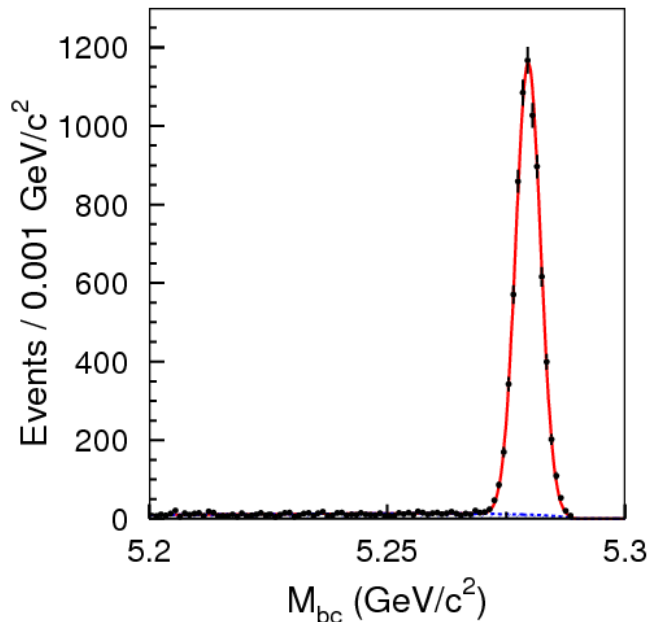


BABAR arXiv:0902.1708 $465 \times 10^6 B\bar{B}$



$$c\bar{c}K^{(*)0} : \sin 2\beta = 0.687 \pm 0.028 \pm 0.012$$

The path to β with $b \rightarrow c\bar{c}s$



BELLE *PRL* 98 (2007) 031802 $535 \times 10^6 B\bar{B}$

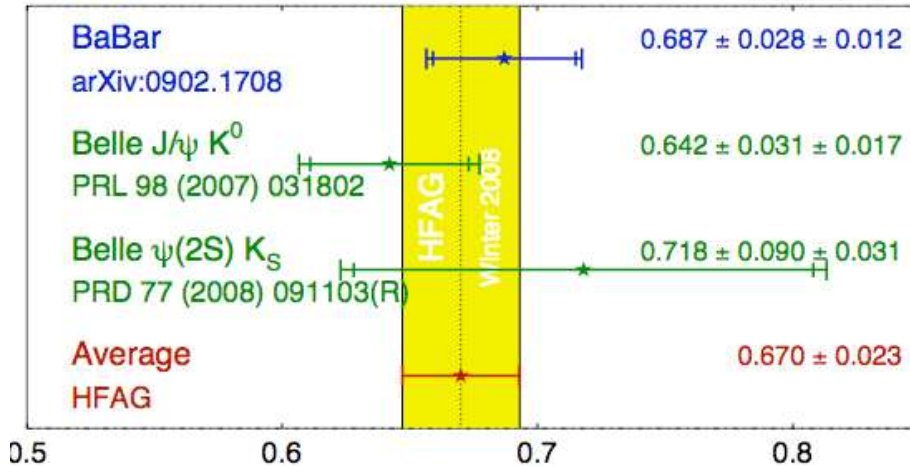
PRD 77 (2008) 091103 $657 \times 10^6 B\bar{B}$

$$J/\psi K^0 : \sin 2\beta = 0.642 \pm 0.031 \pm 0.017$$

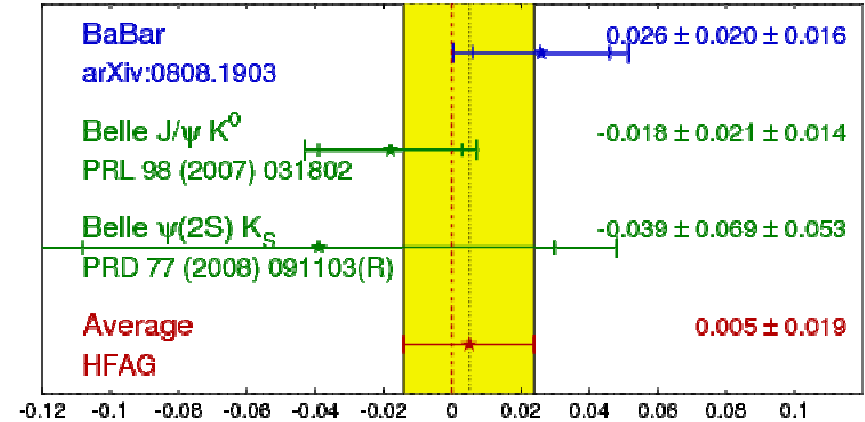
$$\psi(2S) K_S : \sin 2\beta = 0.72 \pm 0.09 \pm 0.03$$

The path to β with $b \rightarrow c\bar{c}s$

$\sin(2\beta) \equiv \sin(2\phi_1)$ **HFAG**
Winter 2008
PRELIMINARY



$b \rightarrow ccs$ C_{CP} **HFAG**
ICHEP 2008
PRELIMINARY

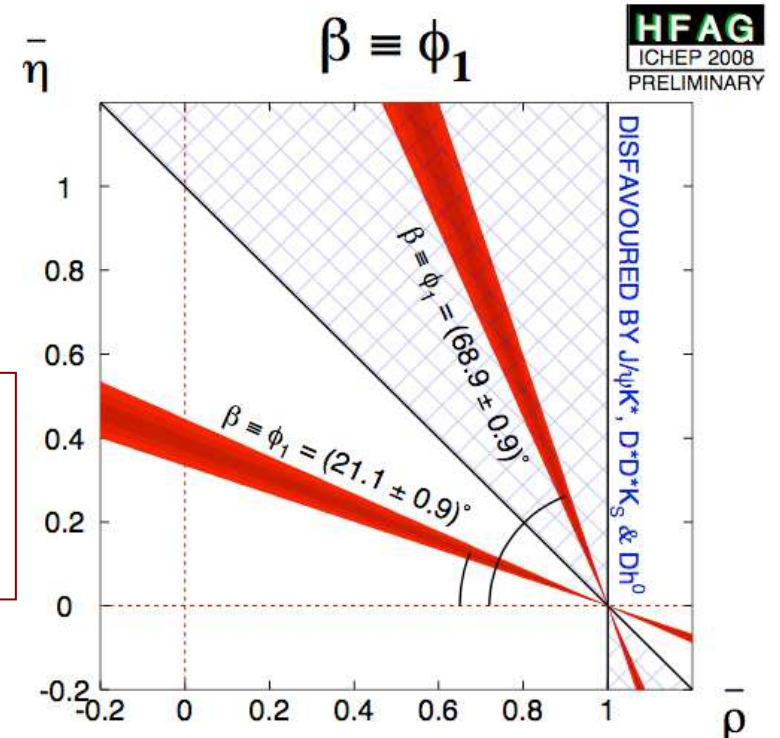


$$\beta(b \rightarrow c\bar{c}s) = (21.1 \pm 0.9)^\circ$$

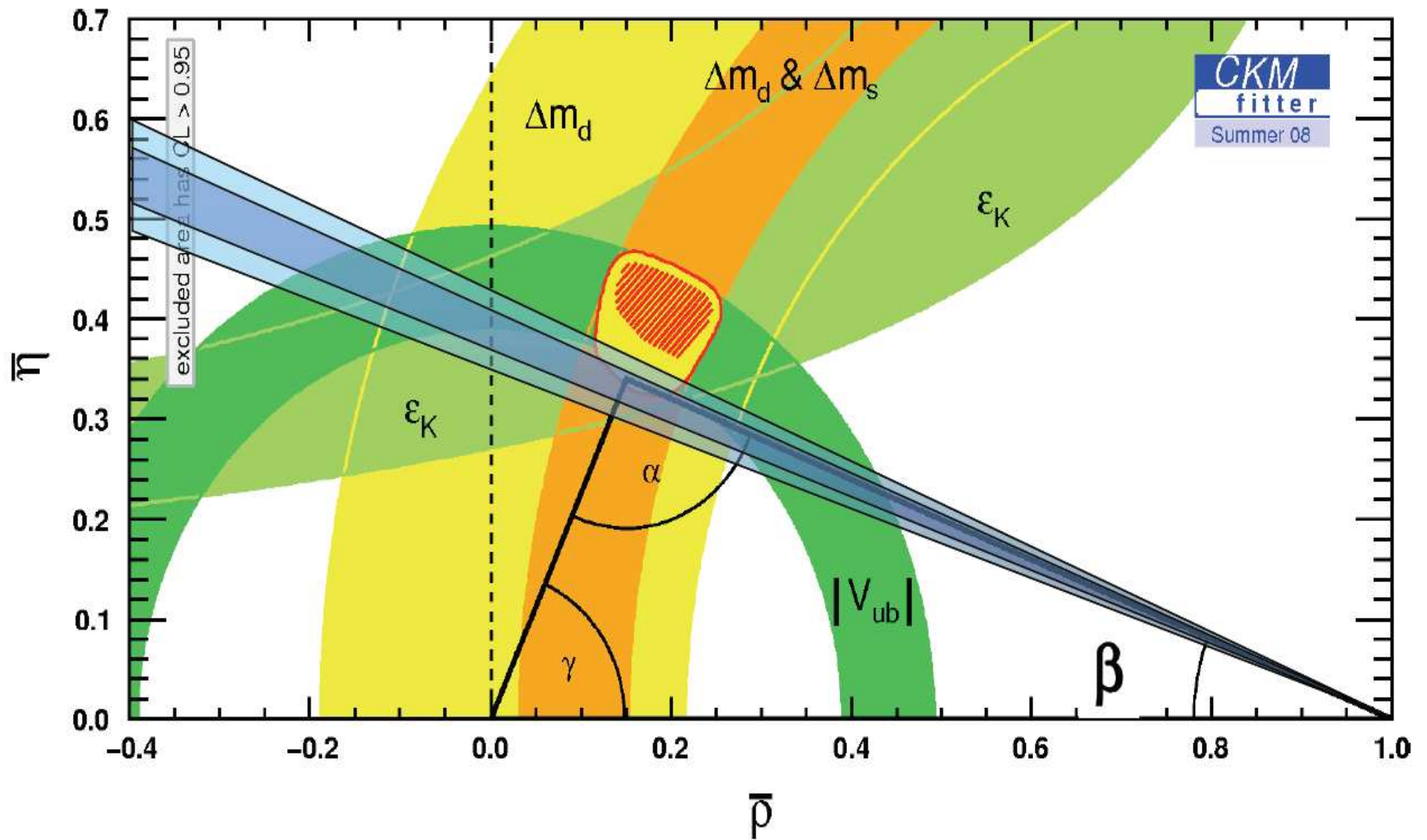
Trigonometric degeneracy in $\sin(2\beta)$ lifted via

$B \rightarrow J/\psi K^*$, $B \rightarrow D^* D^* K_S$, $B \rightarrow D^{(*)}_{(CP)} h^0$

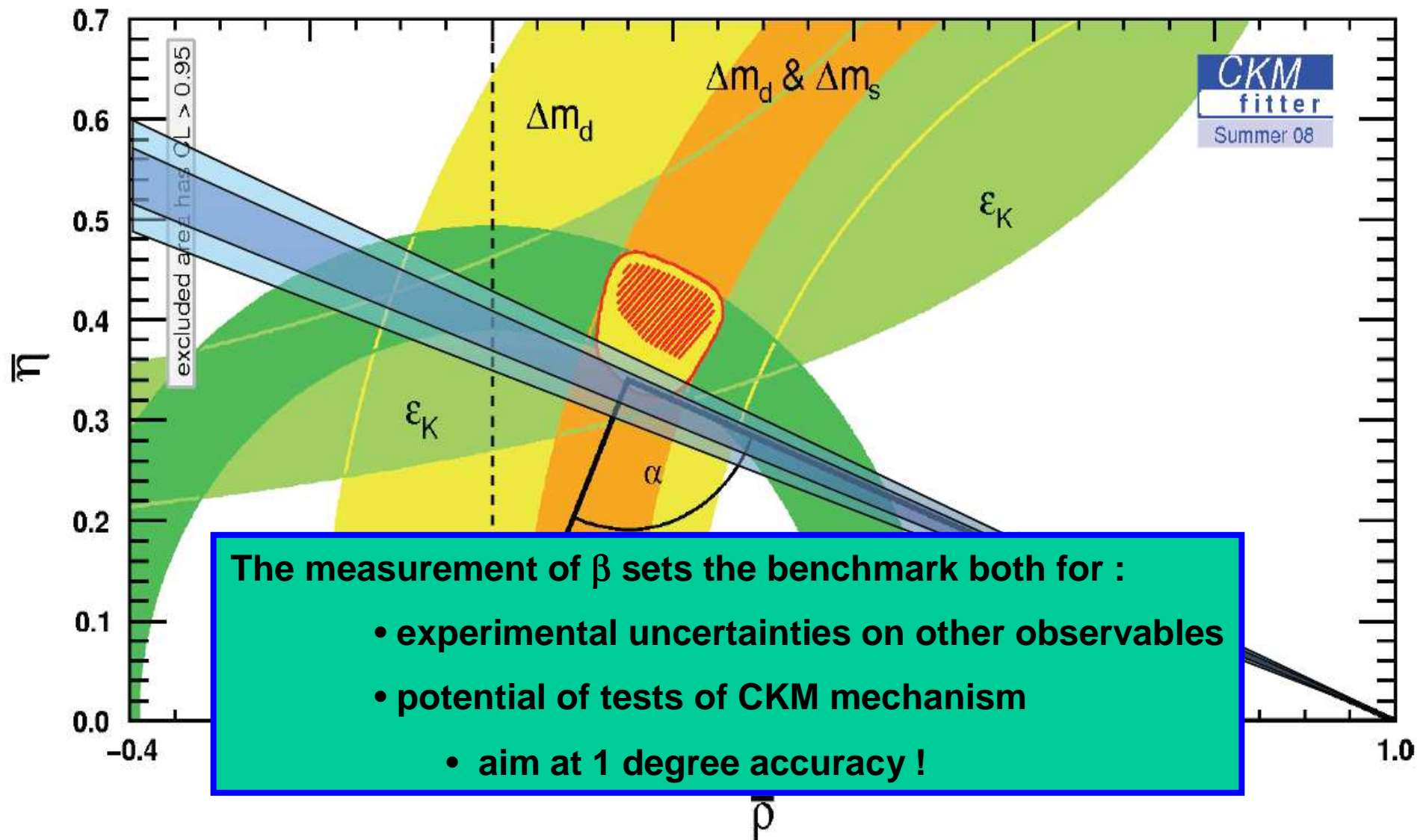
each having (different levels of) sensitivity to $\cos(2\beta)$



β : first successful test of CKM



β : first successful test of CKM

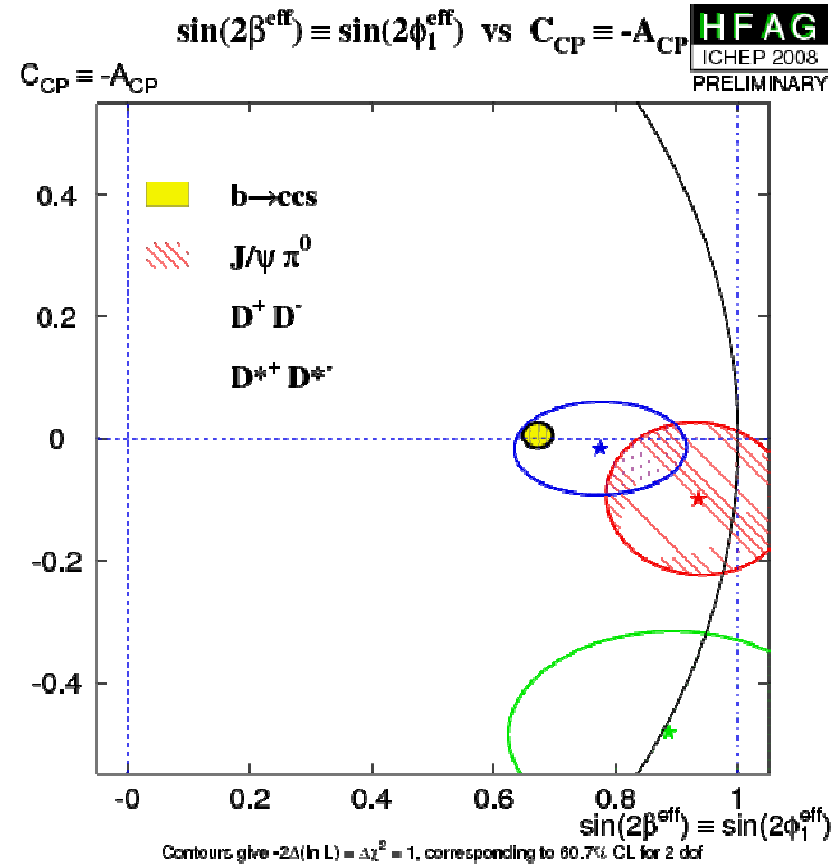
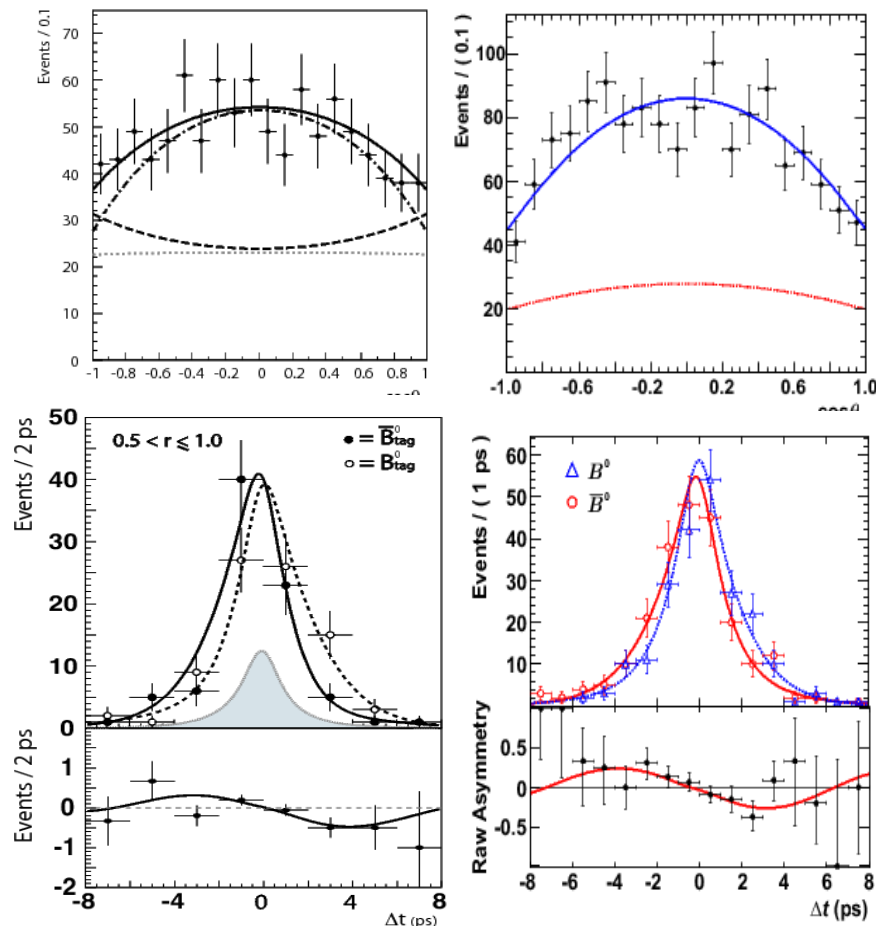


Time-dependent CP asymmetries in $b \rightarrow c\bar{c}d$ modes

$$B^0 \rightarrow D^{*+} D^{*-}$$

V-V decay :

admixture of CP-odd and CP-even



Summary of S,C in $b \rightarrow c\bar{c}d$ modes :

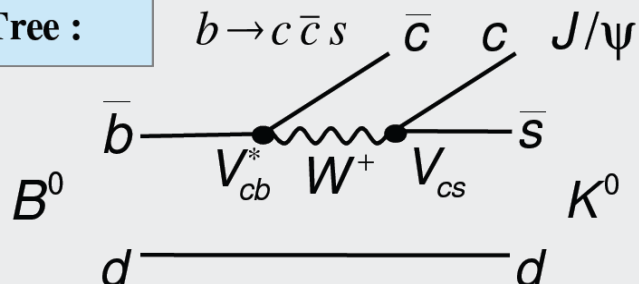
good agreement with $b \rightarrow c\bar{c}s$ for D^*D^* , $J/\psi\pi^0$

D^+D^- at physical boundary...

All limited by statistics

b→s penguins : loop-dominance

Tree :



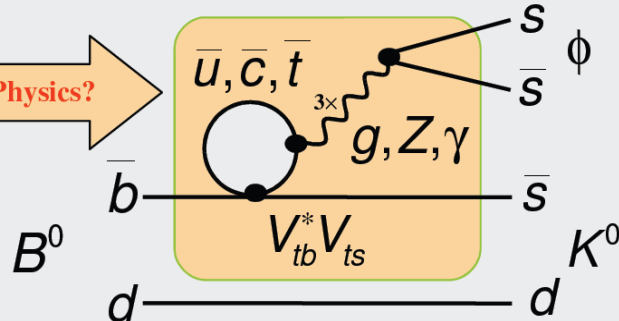
• $b \rightarrow c \bar{c} s$:

- tree-dominated decays
- penguins carry same weak phase

Penguin :

$b \rightarrow s \bar{s} s$

New Physics?



• $b \rightarrow q \bar{q} s$:

- pure “internal” or “flavour-singlet” penguins
- dominant phase, same CKM factors as $b \rightarrow c \bar{c} s$
- high mass scales involved in loops
- non-SM contributions could contribute
- a window to New Physics !

- often, more than one phase involved (“tree pollution”)

Standard Model

$$S_{q\bar{q}s} = S_{c\bar{c}s} + \Delta S_{SM} = \sin 2\beta$$

$$C_{c\bar{c}s} \sim C_{q\bar{q}s} \sim 0$$

New Physics

$$S_{c\bar{c}s} + \Delta S_{SM} \neq S_{q\bar{q}s}$$

$$C_{c\bar{c}s} \neq C_{q\bar{q}s}$$

Input from theory :

evaluate ΔS_{SM} for each mode

identify clean modes (with small ΔS_{SM} expected)

S from $b \rightarrow s$ penguins vs. $\sin 2\beta$

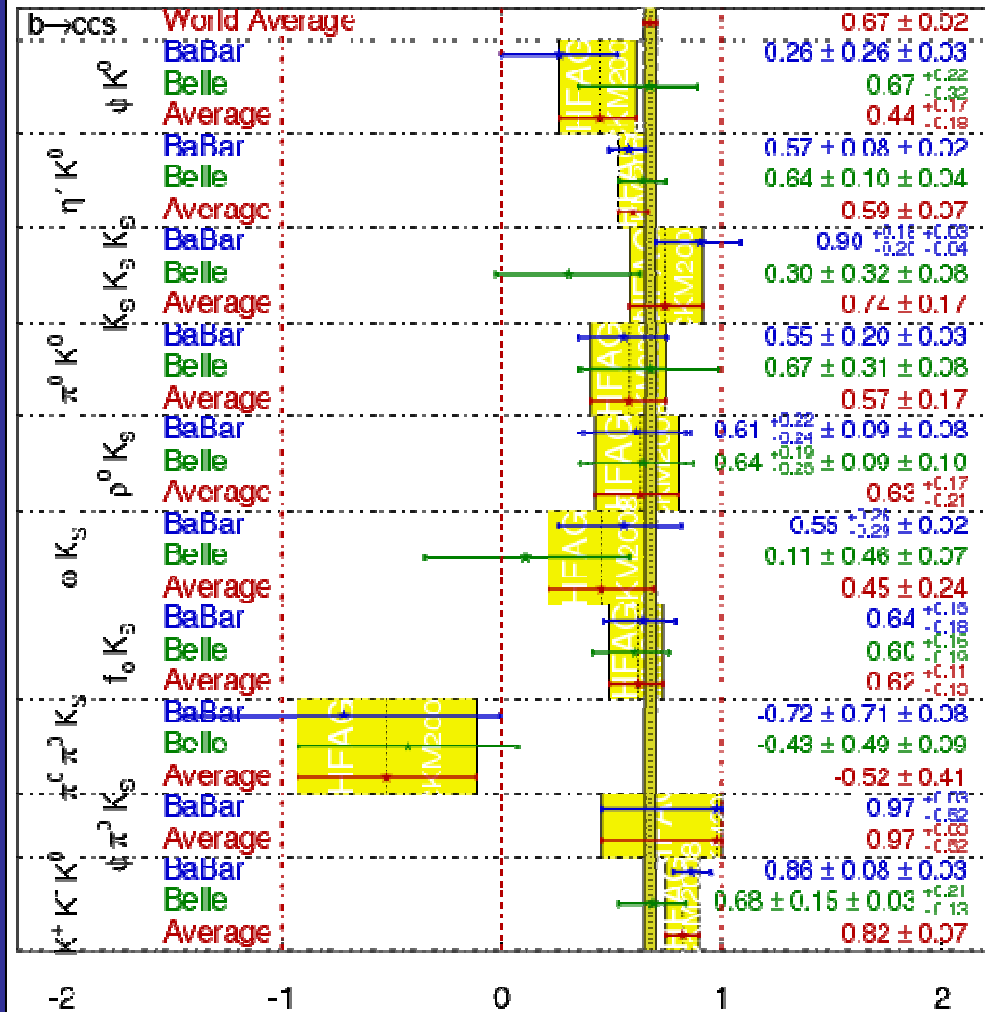
HFAG compilation

Measurements available for 10 modes

Many of the results in the compilation are new or recently updated (ICHEP2008, CKM'08).

$$\sin(2\beta^{\text{eff}}) \equiv \sin(2\phi_1^{\text{eff}})$$

HFAG
 CKM2008
 PRELIMINARY



S from $b \rightarrow s$ penguins vs. $\sin 2\beta$

HFAG compilation

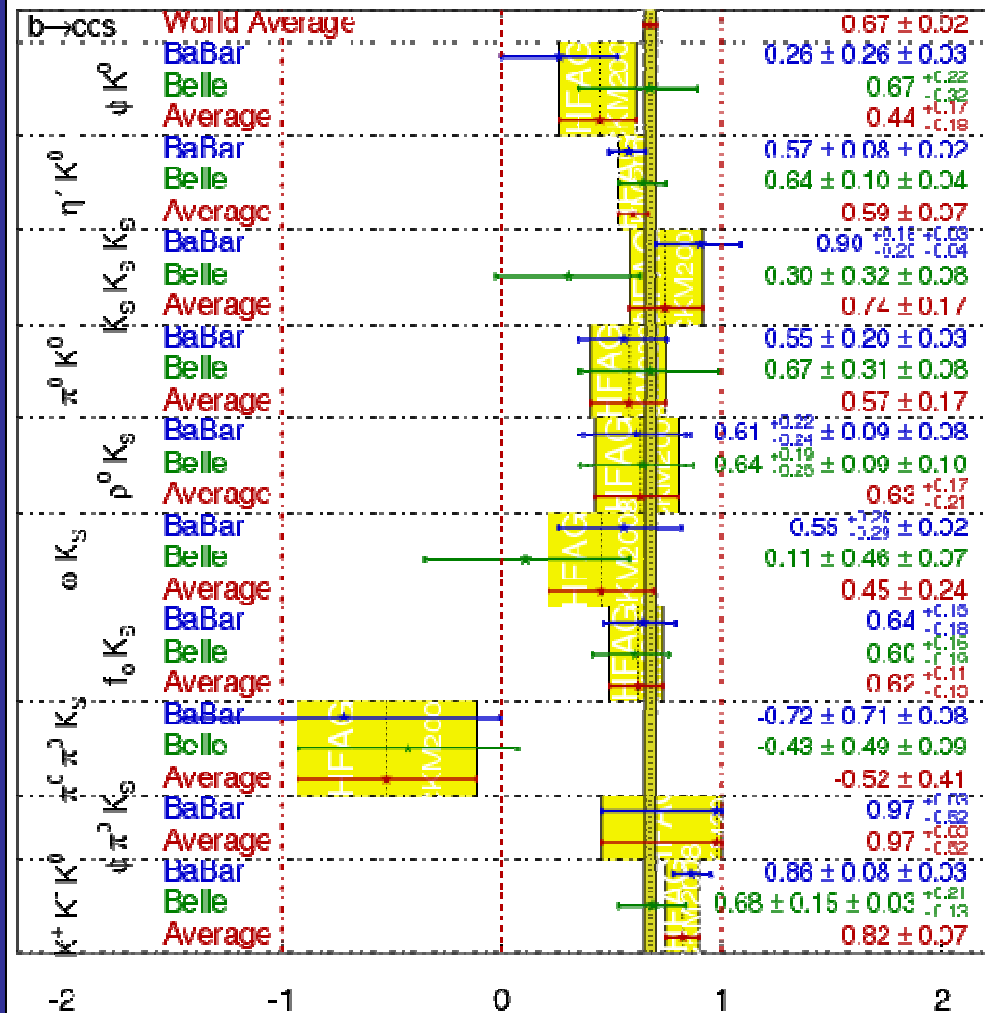
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Big effort from B factories to clarify hints of trends/deviations in previous compilations

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HFAG
 CKM2008
 PRELIMINARY



S from $b \rightarrow s$ penguins vs. $\sin 2\beta$

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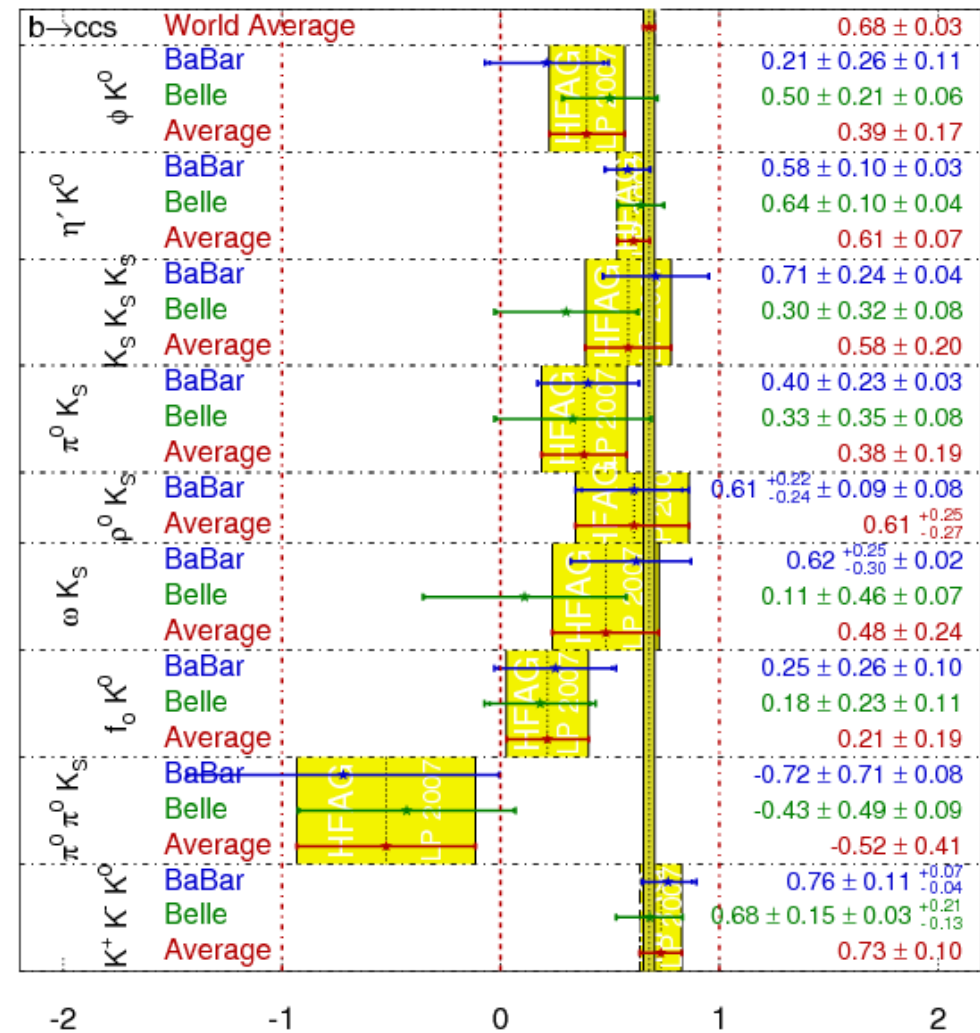
Big effort from B factories to clarify hints of trends/deviations in previous compilations

(e.g. in 2007)

$$\sin(2\beta^{\text{eff}}) \equiv \sin(2\phi_1^{\text{eff}})$$



LP 2007
PRELIMINARY



S from $b \rightarrow s$ penguins vs. $\sin 2\beta$

HFAG compilation

Measurements available for 10 modes

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Big effort from B factories to clarify hints of trends/deviations in previous compilations

Beware of naïve averaging !
(each mode has its own ΔS ...)

Still...

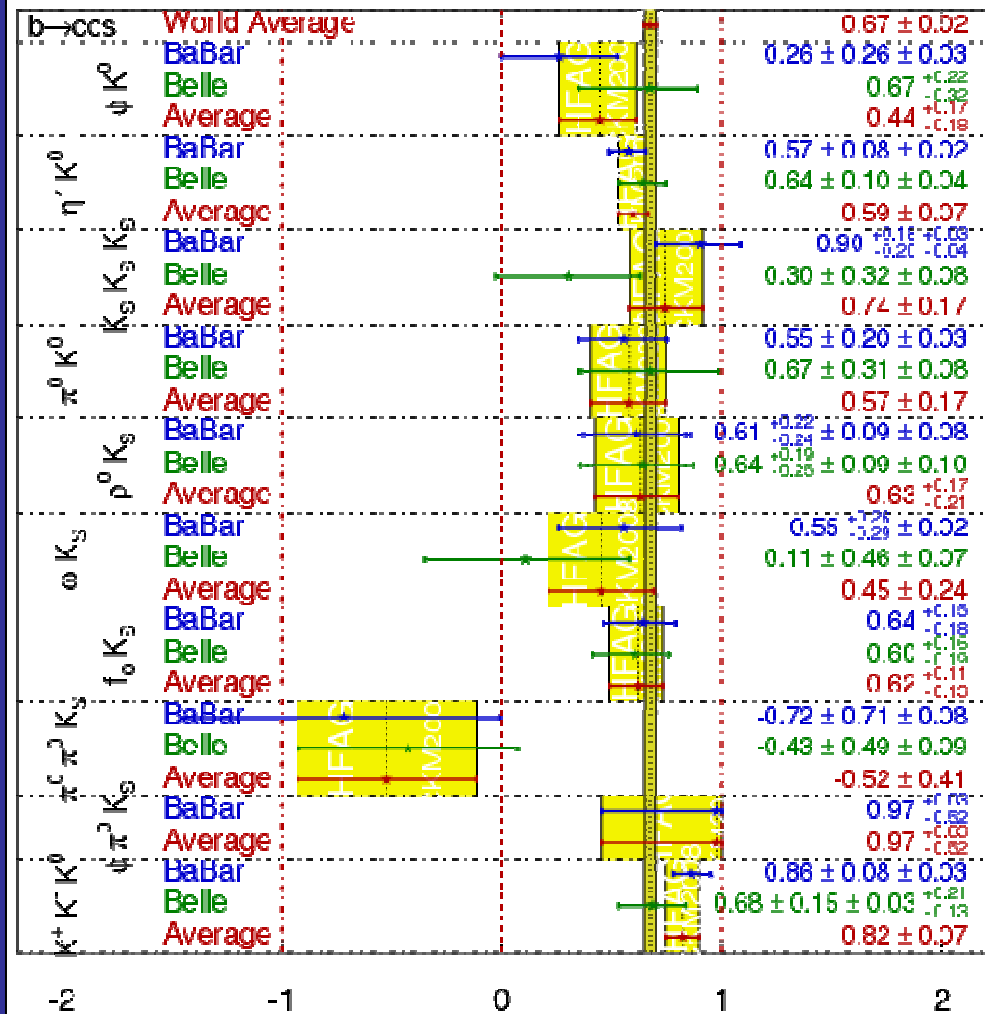
... for most of the modes,

the theoretical SM prediction is $\Delta S > 0$

current central values are $\Delta S < 0$

$$\sin(2\beta^{\text{eff}}) \equiv \sin(2\phi_1^{\text{eff}})$$

HFAG
 CKM2008
 PRELIMINARY



S from $b \rightarrow s$ penguins vs. $\sin 2\beta$

HFAG compilation

Browder, Gershon, Pirjol, AS, Zupan, arXiv:0802.3201(RMP)

TABLE VIII Expectations for ΔS_f in three cleanest modes.

Model	ϕK^0	$\eta' K^0$	$K_S K_S K^0$
QCDF+FSI ^a	$0.03^{+0.01}_{-0.04}$	$0.00^{+0.00}_{-0.04}$	$0.02^{+0.00}_{-0.04}$
QCDF ^b	0.02 ± 0.01	0.01 ± 0.01	
QCDF ^c	0.02 ± 0.01	0.01 ± 0.02	
SCET ^d		-0.019 ± 0.009	
		-0.010 ± 0.010	
pQCD ^e	0.02 ± 0.01		

^aCheng *et al.* (2005a,b)

^bBeneke (2005)

^cBuchalla *et al.* (2005)

^dWilliamson and Zupan (2006)

^eLi and Mishima (2006)

Beware of naïve averaging !
(each mode has its own ΔS ...)

Inspect the cleanest modes:

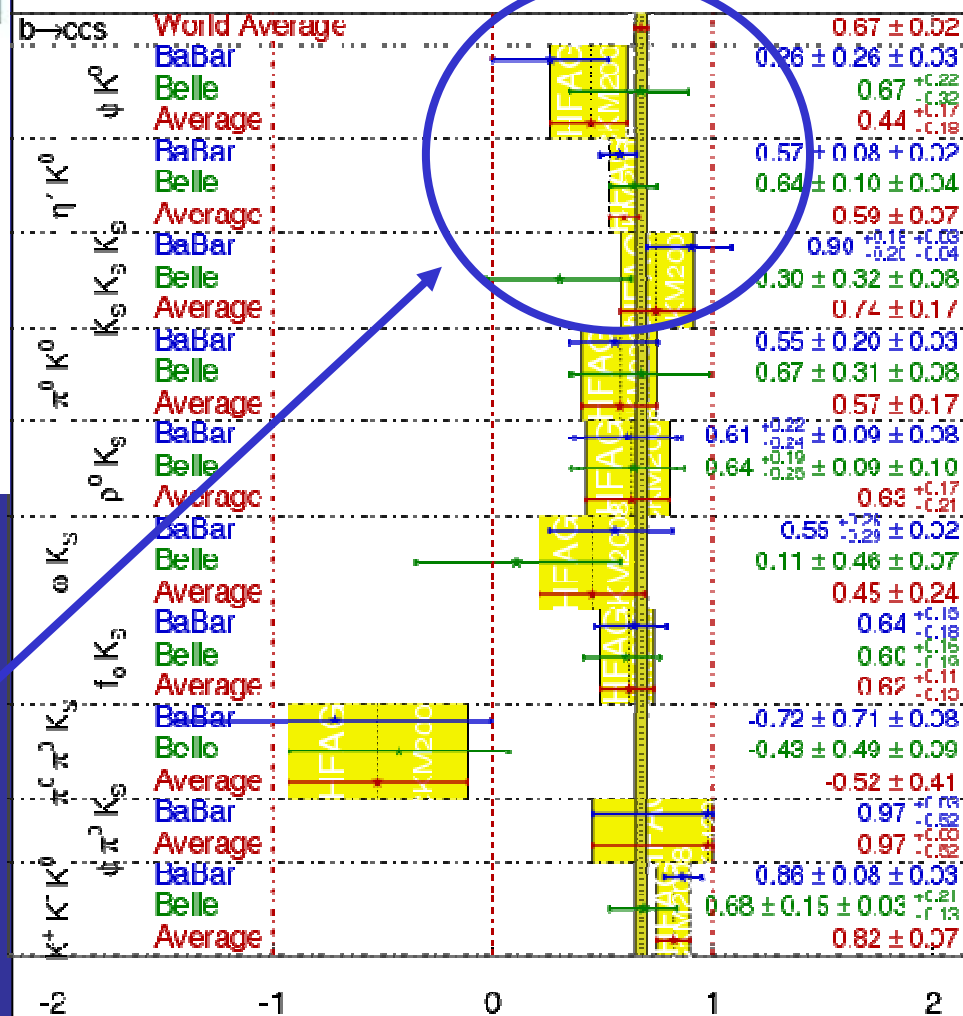
$B^0 \rightarrow \eta' K^0_S$ (first $q\bar{q}s$ mode with $>5\sigma$ CPV)
 $B^0 \rightarrow \phi K^0_S$
 $B^0 \rightarrow K^0_S K^0_S K^0_S$

$$\sin(2\beta^{\text{eff}}) \equiv \sin(2\phi_1^{\text{eff}})$$

HFAG

CKM2008

PRELIMINARY



S from $b \rightarrow s$ penguins vs. $\sin 2\beta$

HFAG compilation

Measurements available for 10 modes

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Big effort from B factories to clarify hints of trends/deviations in previous compilations

Beware of naïve averaging !
(each mode has its own ΔS ...)

Exploit the potential of amplitude analyses on modes contributing to three-body decays :

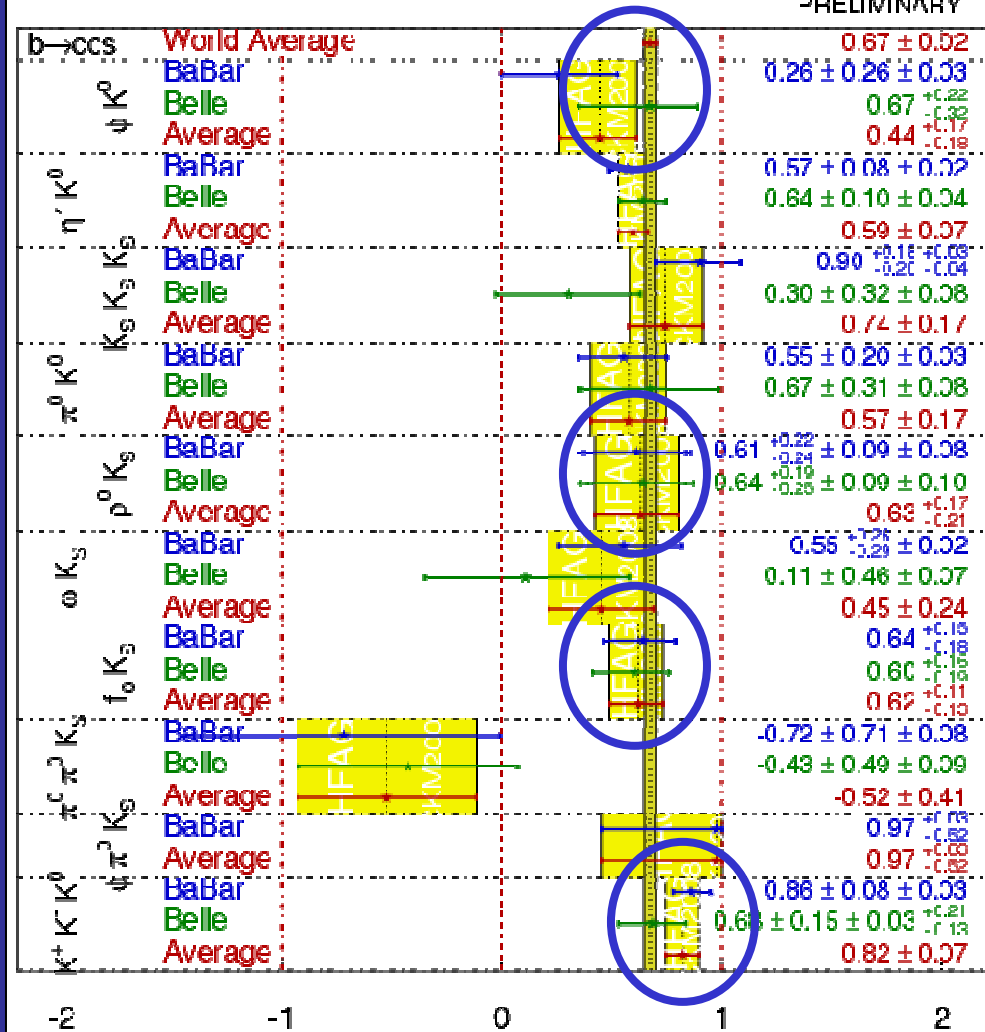
Available : $B^0 \rightarrow \pi^+ \pi^- K_S^0$, $B^0 \rightarrow K^+ K^- K_S^0$

$$\sin(2\beta^{\text{eff}}) \equiv \sin(2\phi_1^{\text{eff}})$$

HFAG

CKM2008

PRELIMINARY



$b \rightarrow s q \bar{q}$ penguins : the time-dependent Dalitz Plot analyses

- Time-dependent amplitude analyses of $B^0 \rightarrow K_S^0 \pi^+ \pi^-$ and $B^0 \rightarrow K_S^0 K^+ K^-$
 - Technically challenging :
 - 3-D signal decay amplitude (DP + time)
 - huge phase space (B much heavier than light resonances)
 - several intermediate modes contribute
 - Direct access to Weak phase β_{eff} !
 - counting-rate analyses access only to $S = \sin 2\beta_{eff}$
 - trigonometry ambiguities resolved by interference
 - Intermediate modes related to β_{eff} include
 - ϕK_S and $f_0 K_S$ in $B^0 \rightarrow K_S^0 K^+ K^-$
 - $f_0 K_S$ and $\rho^0 K_S$ in $B^0 \rightarrow K_S^0 \pi^+ \pi^-$

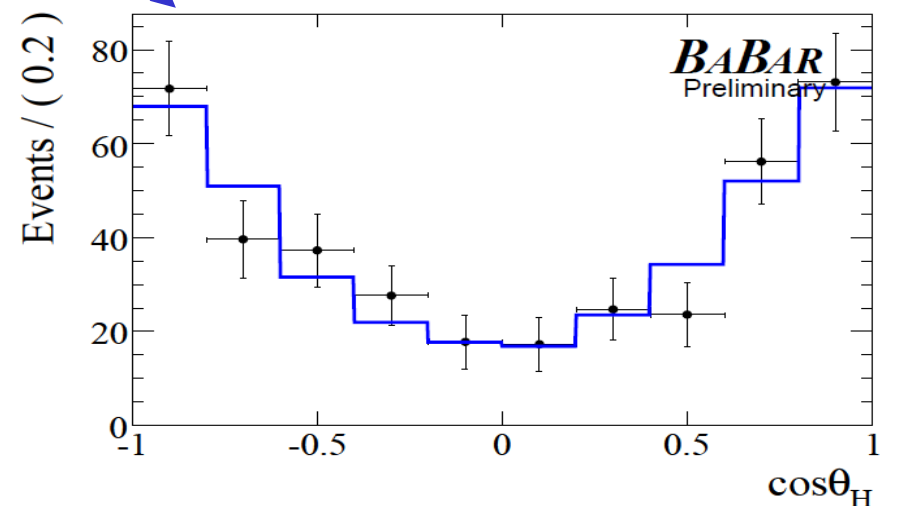
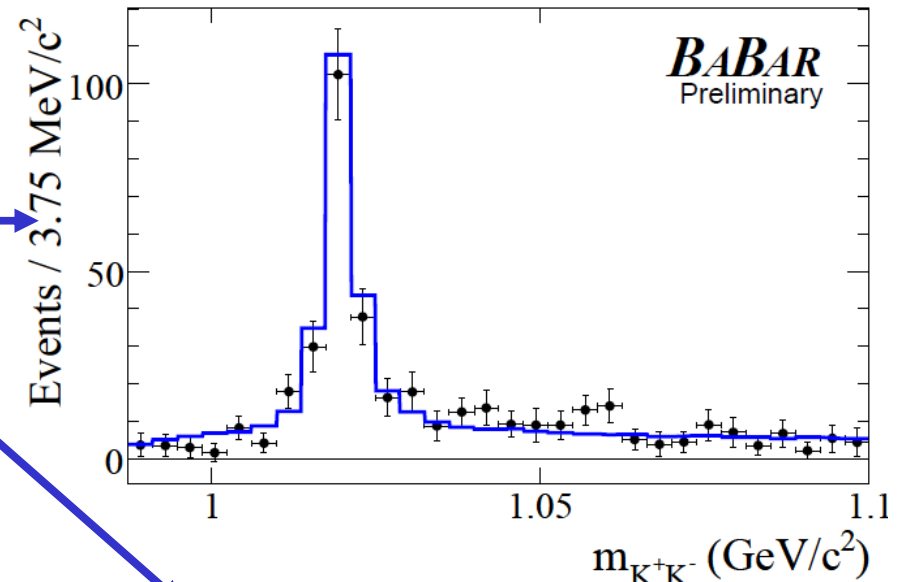
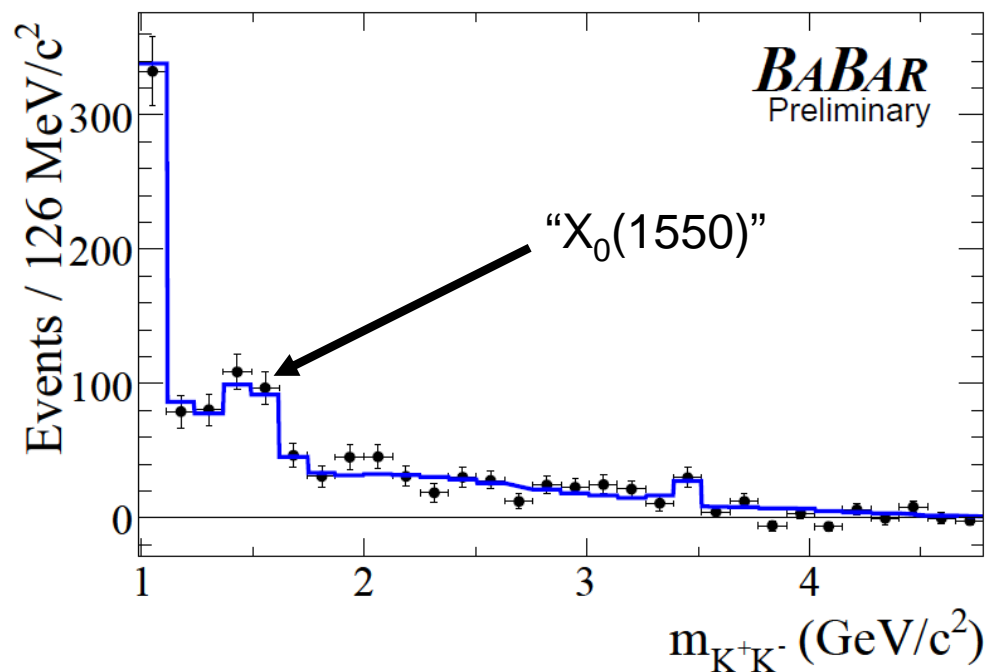
$b \rightarrow sq\bar{q}$ penguins : TD-amplitude analysis of $B^0 \rightarrow K^+K^-K_S^0$

$B^0 \rightarrow K_S^0 K^+ K^-$: BABAR, Phys. Rev. Lett. 99, 161802 (2007) N(BB) = 383 M
 update arXiv:0808.0700 N(BB) = 465 M

Background-subtracted distributions

Zoom in the low-mass region
 (ϕ, f_0 -dominated)

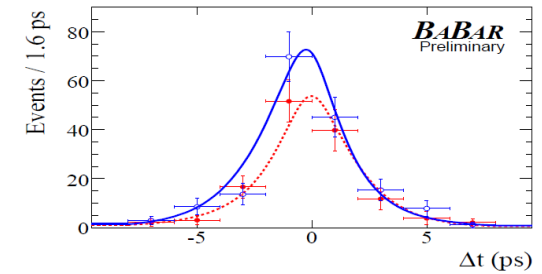
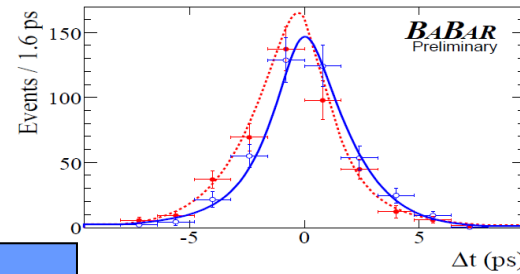
High-mass spectrum



$b \rightarrow sq\bar{q}$ penguins : TD-amplitude analysis of $B^0 \rightarrow K^+K^-K_S^0$

$B^0 \rightarrow K_S^0 K^+ K^-$: BABAR, Phys. Rev. Lett. 99, 161802 (2007) N(BB) = 383 M
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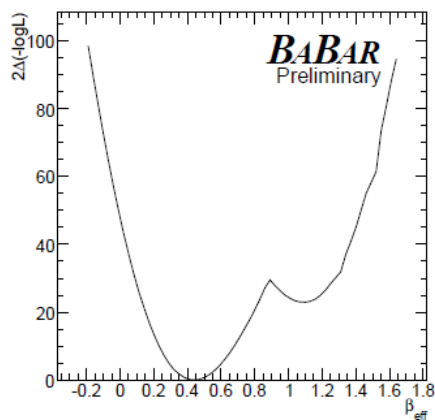
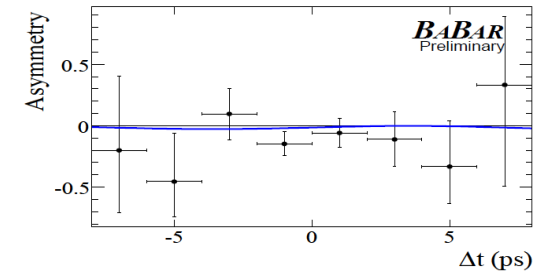
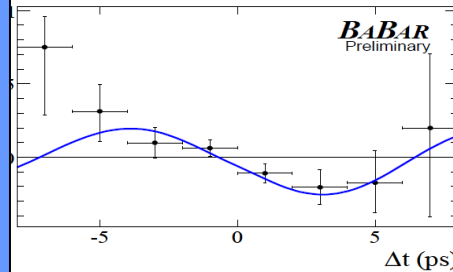
Background-subtracted time distr.
 (at high- and low- mass)



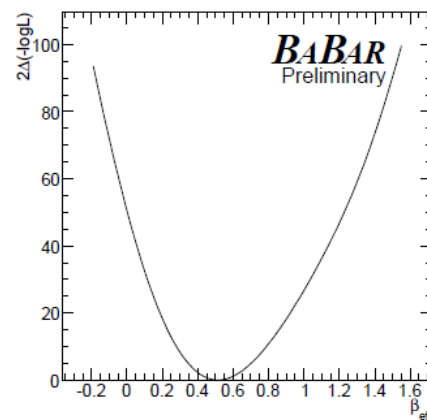
Likelihood vs. β_{eff} :

CP violation at 6.7σ !

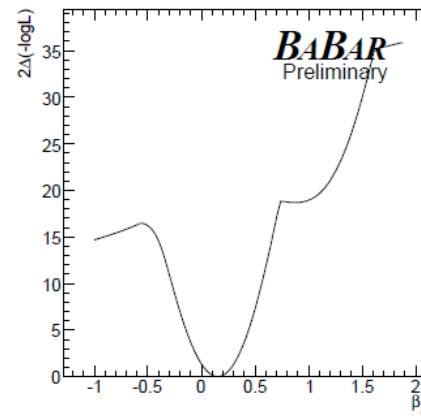
Trigonometric ambiguities resolved :
 (i.e. $\pi/2 - \beta_{\text{eff}}$ excluded at 4.8σ)



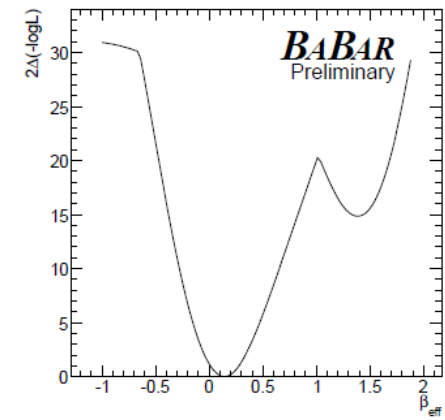
Entire DP



High-mass region

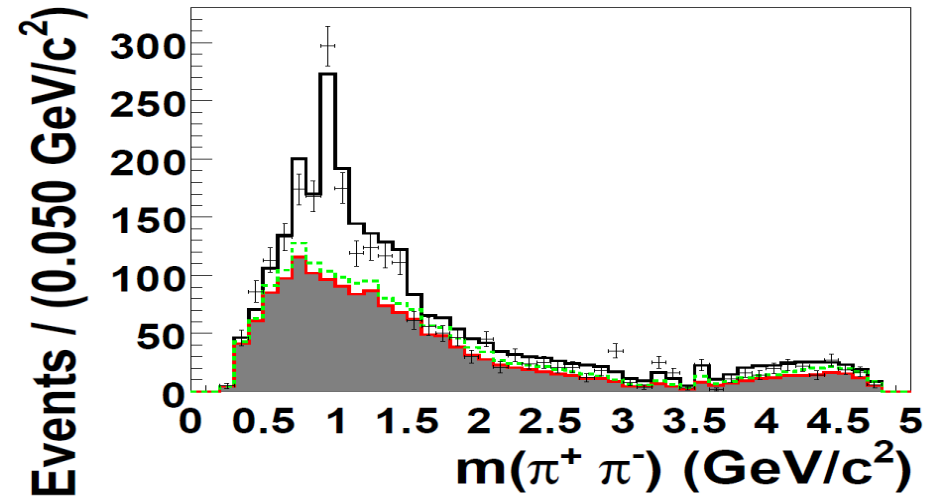
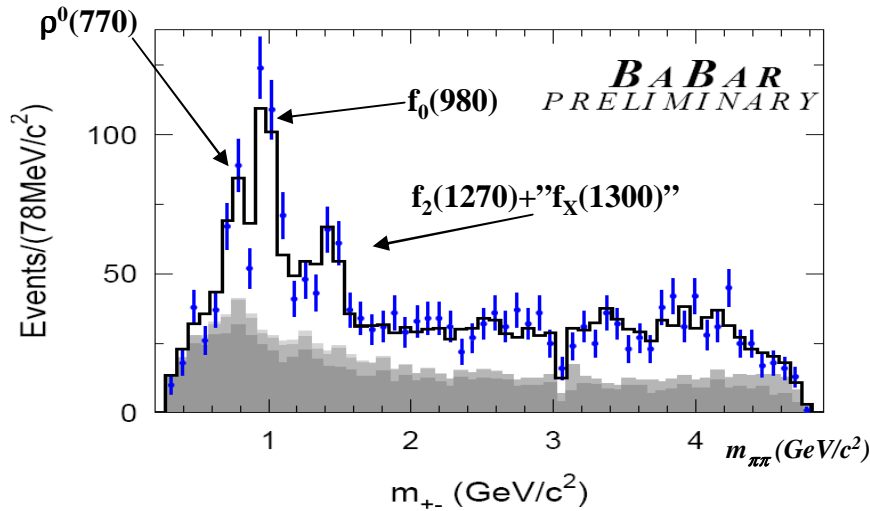


$f_0(980)K_s$



$\phi(1020)K_s$

$b \rightarrow sq\bar{q}$ penguins : TD-amplitude analysis of $B^0 \rightarrow \pi^+ \pi^- K_s^0$



$B^0 \rightarrow K_s^0 \pi^+ \pi^-$: BABAR, arXiv:0708.2097

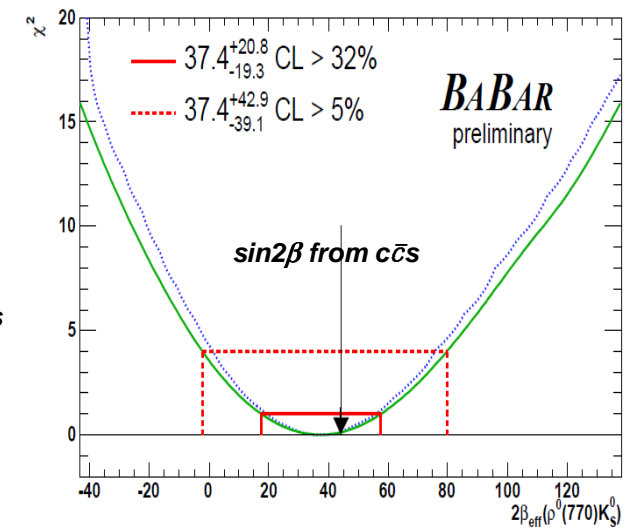
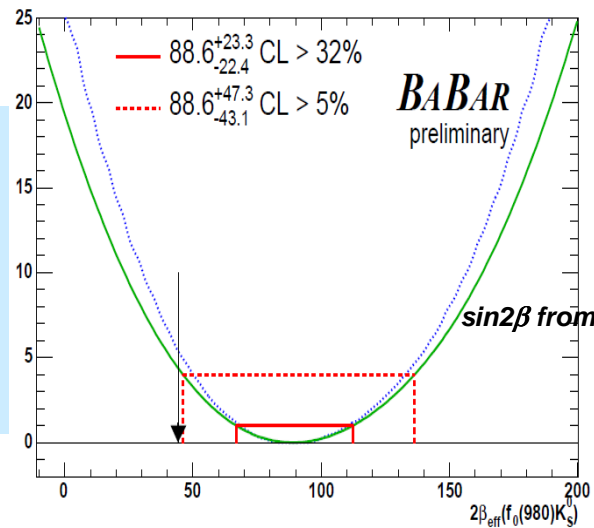
N(BB) = 383 M

BaBar :

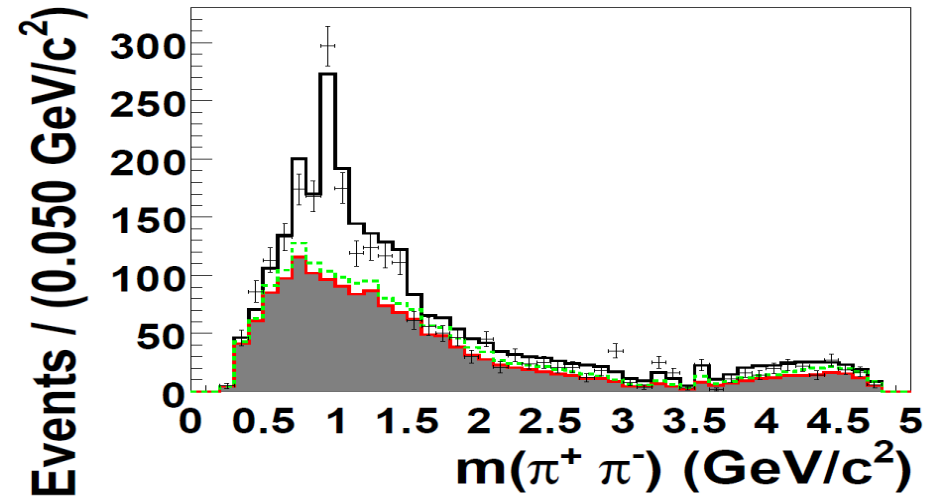
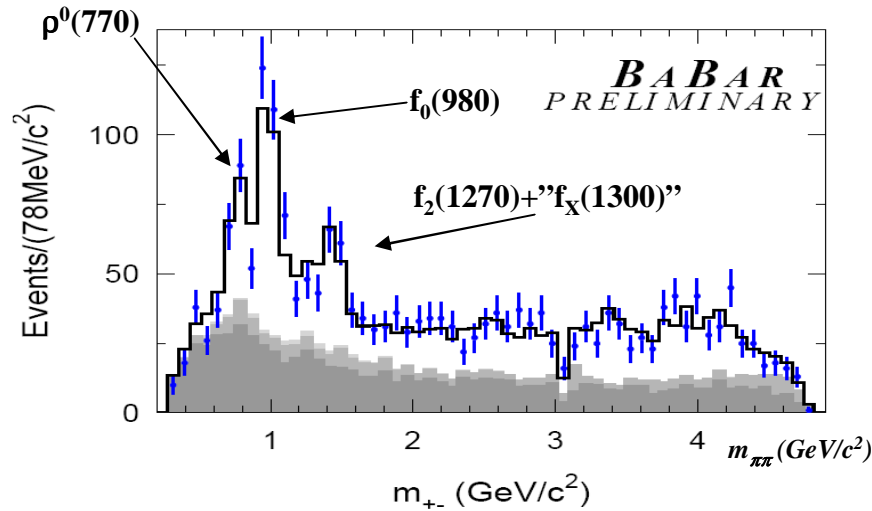
$f_0 K_s$: $2\beta_{\text{eff}} = 0$ *excl. at 4.3 σ*

$f_0 K_s$: $2\beta_{\text{eff}} = 180$ *excl. at 3.9 σ*

$\rho_0 K_s$: mirror solution
disfavoured at 3.8 σ



$b \rightarrow sq\bar{q}$ penguins : TD-amplitude analysis of $B^0 \rightarrow \pi^+ \pi^- K_s^0$



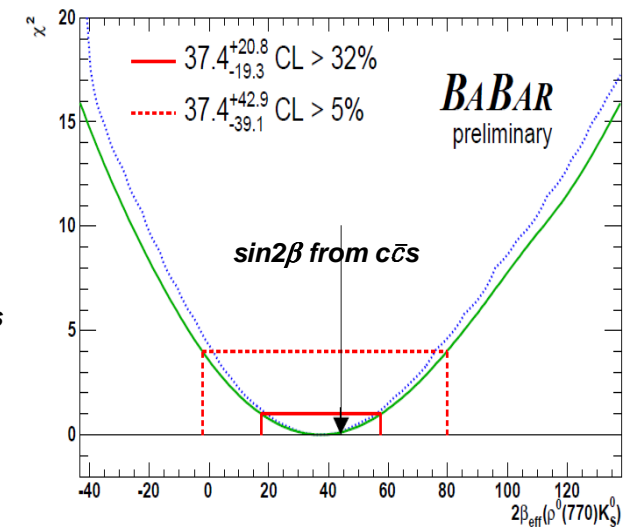
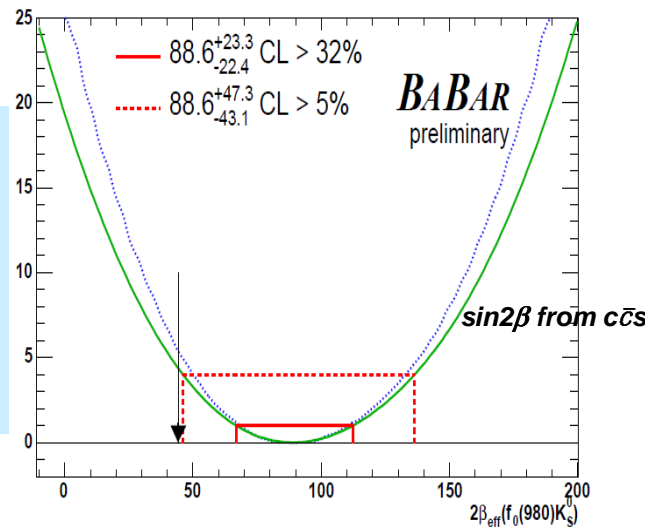
$B^0 \rightarrow K_s^0 \pi^+ \pi^-$: BABAR, update in final notice

BaBar :

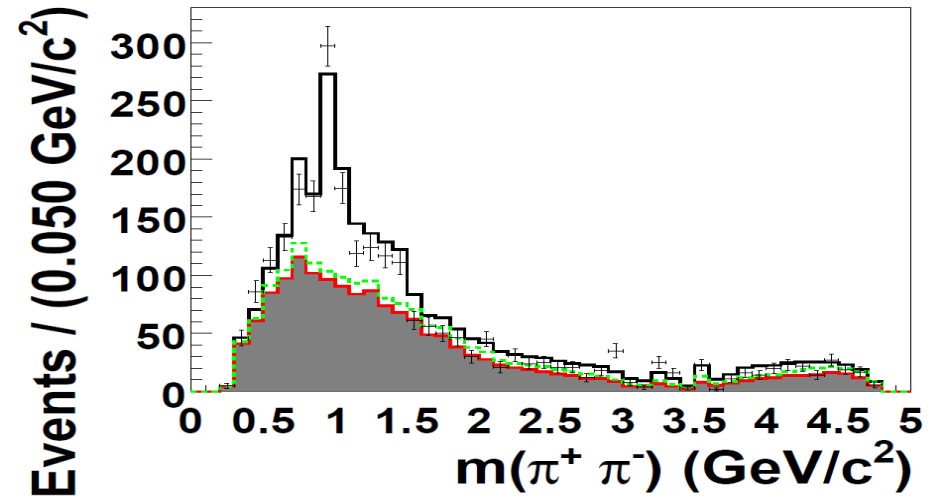
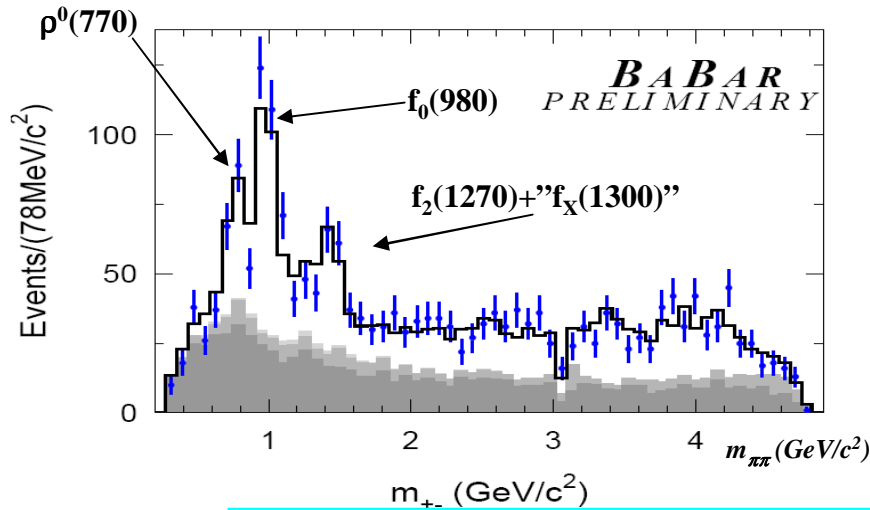
$f_0 K_s$: $2\beta_{\text{eff}} = 0$ *excl. at 4.3σ*

$f_0 K_s$: $2\beta_{\text{eff}} = 180$ *excl. at 3.9σ*

$\rho_0 K_s$: mirror solution
disfavoured at 3.8σ



$b \rightarrow sq\bar{q}$ penguins : TD-amplitude analysis of $B^0 \rightarrow \pi^+ \pi^- K_S^0$



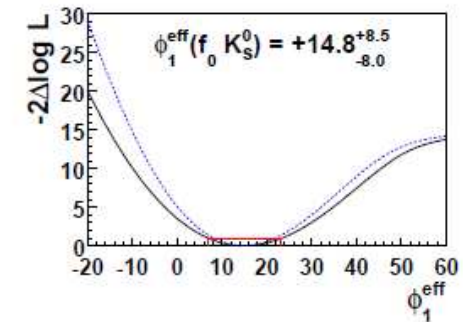
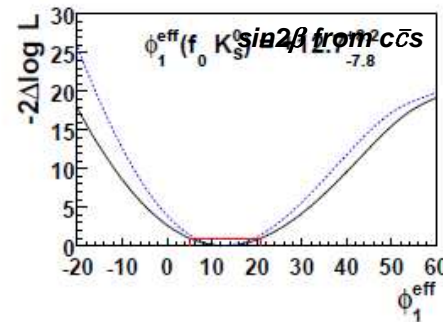
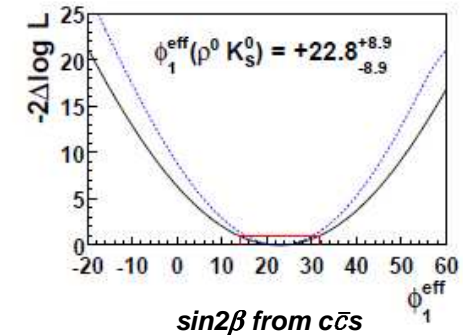
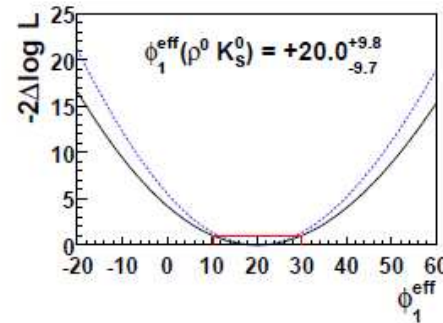
$B^0 \rightarrow K_S^0 \pi^+ \pi^-$: Belle, arXiv:0811.3665

$N(BB) = 657 \text{ M}$

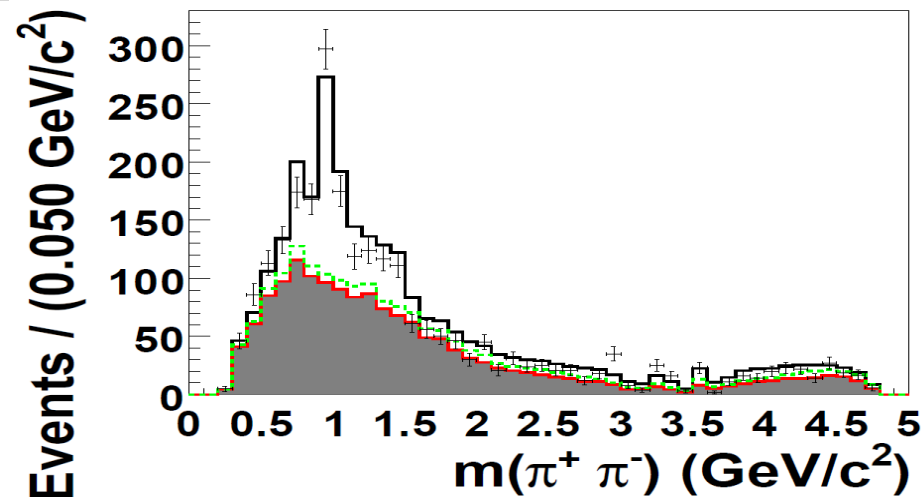
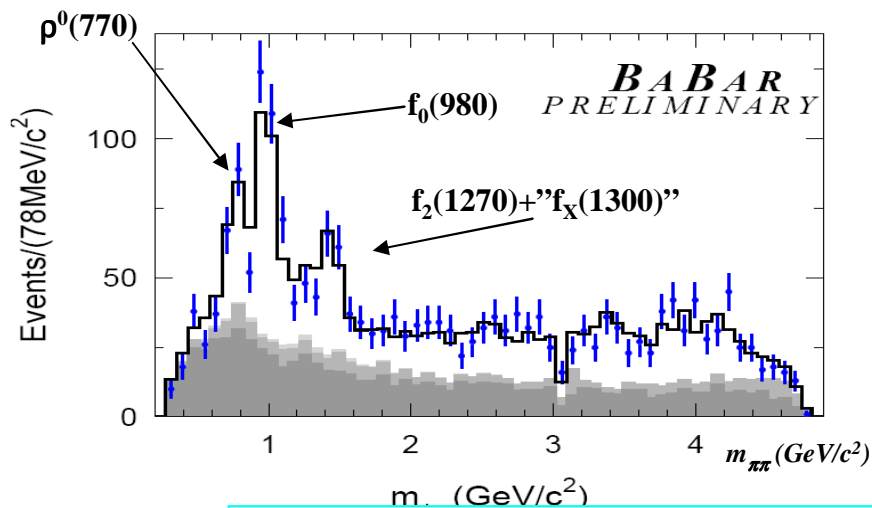
Belle :

Two solutions

No evidence for CP violation for either $f_0 K_S$ nor $\rho_0 K_S$



$b \rightarrow s q \bar{q}$ penguins : the time-dependent Dalitz analyses

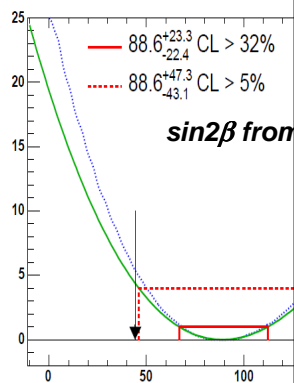


$B^0 \rightarrow K_S^0 \pi^+ \pi^-$: Belle, arXiv:0811.3665

N(BB) = 657 M

$B^0 \rightarrow K_S^0 \pi^+ \pi^-$: BABAR, arXiv:0708.2097

N(BB) = 383 M

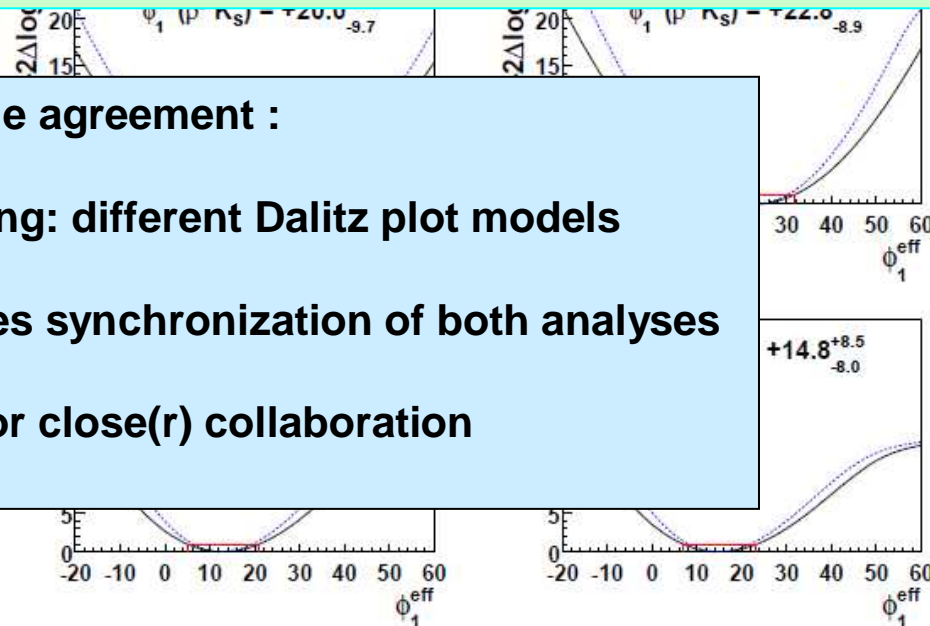


Quantification of BaBar/Belle agreement :

Not straightforward averaging: different Dalitz plot models

Correct combination requires synchronization of both analyses

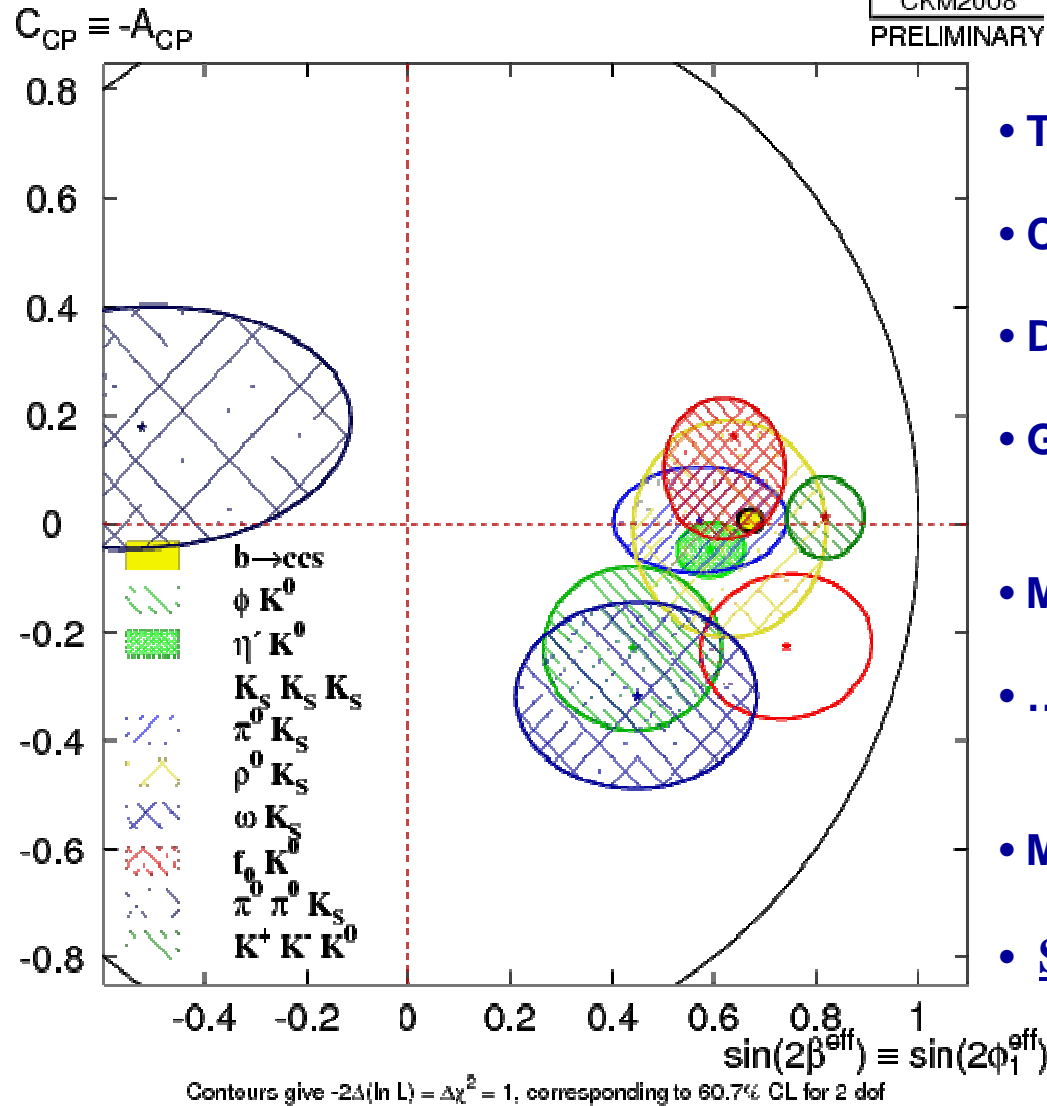
...interesting opportunity for close(r) collaboration



$b \rightarrow sq\bar{q}$ penguins : summary

$$\sin(2\beta^{\text{eff}}) \equiv \sin(2\phi_1^{\text{eff}}) \text{ vs } C_{\text{CP}} \equiv -A_{\text{CP}}$$

HFAG
CKM2008
PRELIMINARY

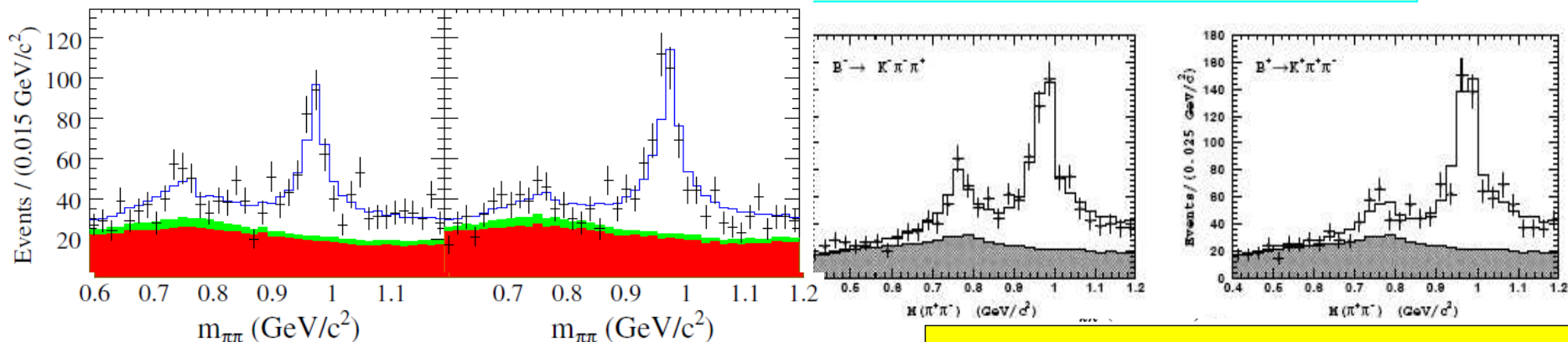


- Ten modes in the $b \rightarrow q\bar{q}s$ family studied
- CP violation established in several modes
- Direct CP asymmetries Compatible with zero
- Global agreement with golden $b \rightarrow c\bar{c}s$
- Most values of S below $b \rightarrow c\bar{c}s$ value ...
- ... while theoretical calculations suggest *opposite trend* ...
- Measurements limited by statistics
- Sound case for higher-statistics projects

More physics from $B \rightarrow K\pi\pi$ Dalitz-plot analyses

$B^+ \rightarrow K^+ \pi^- \pi^+$: BaBar, PRD 78 (2008) 012004
 Belle, ICHEP-CONF

$N(\text{BB}) = 465 \text{ M}$
 $N(\text{BB}) = 657 \text{ M (tbc)}$

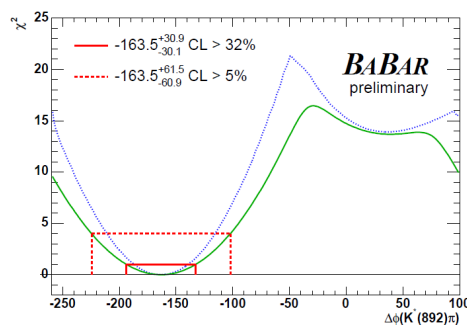


First evidence for Direct CPV in a charged decay

HFAG $A_{CP}(\rho^0 K^+) = (42^{+8}_{-10})\%$

$B^0 \rightarrow K^+ \pi^- \pi^0$: BaBar, PRD 78 (2008) 052005
 update arXiv:0807.4567

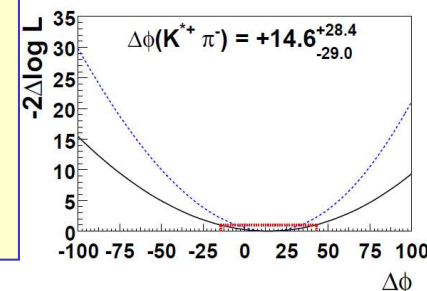
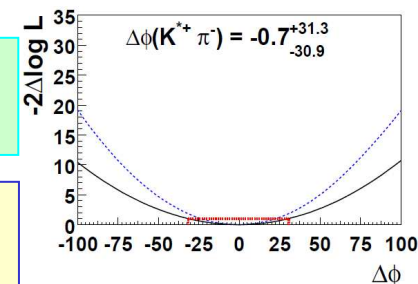
$N(\text{BB}) = 232 \text{ M}$
 $N(\text{bb}) = 465 \text{ M}$



CPS, Phys. Lett. B 645, 201 (2007)
 GPSZ, Phys. Rev. D 75, 014002 (2007):

Phases in $B^0 \rightarrow K^*(892)^+ \pi^-$ and $B^0 \rightarrow K^*(892)^0 \pi^0$
 can provide a constraint to the CKM matrix

(stat. limited, requires BaBar/Belle synchronisation)



α from time-dependent CP asymmetries in $b \rightarrow u\bar{u}d$ decays

Time-dependent CP Asymmetries
in $B^0/\bar{B}^0 \rightarrow \pi^+\pi^-$ decays

(similar for $\rho^+\rho^-$)

$$a_{CP}(\Delta t) \equiv \frac{\Gamma(\bar{B}^0(t) \rightarrow \pi^+\pi^-) - \Gamma(B^0(t) \rightarrow \pi^+\pi^-)}{\Gamma(\bar{B}^0(t) \rightarrow \pi^+\pi^-) + \Gamma(B^0(t) \rightarrow \pi^+\pi^-)}$$

$$= S^{+-} \sin(\Delta m_d \Delta t) - C^{+-} \cos(\Delta m_d \Delta t),$$

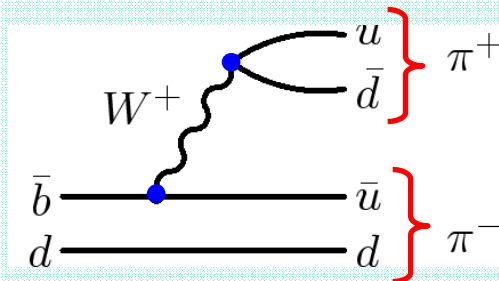
$$S^{+-} = \frac{2\text{Im}\left(e^{-2i\beta} \frac{A^{+-}}{\bar{A}^{+-}}\right)}{1 + \left|\frac{A^{+-}}{\bar{A}^{+-}}\right|^2} \quad \text{et} \quad C^{+-} = \frac{|A^{+-}|^2 - |\bar{A}^{+-}|^2}{|A^{+-}|^2 + |\bar{A}^{+-}|^2}$$

$$A^{+-} = V_{ub} V_{ud}^* T + V_{tb} V_{td}^* P$$

Tree :

$$\propto V_{ub} V_{ud}^*$$

$$\propto \lambda^3$$



With a single weak phase
(i.e. negligible penguins) :

$$C = 0$$

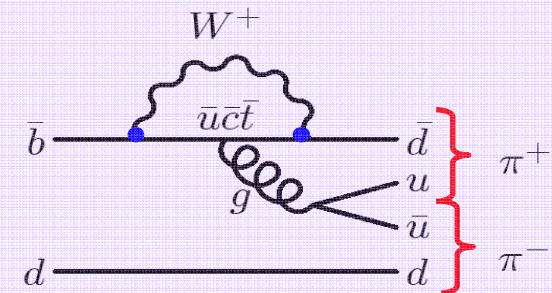
$$S = \sin(-2(\beta + \gamma)) = \sin 2\alpha$$

direct access to α

Penguin :

$$\propto V_{tb} V_{td}^*$$

$$\propto \lambda^3$$



$$C \neq 0$$

$$S = \sqrt{1 - C^2} \sin(2\alpha_{\text{eff}}) \neq \sin 2\alpha$$

Penguin pollution :

Additional information required :
use isospin SU(2) symmetry

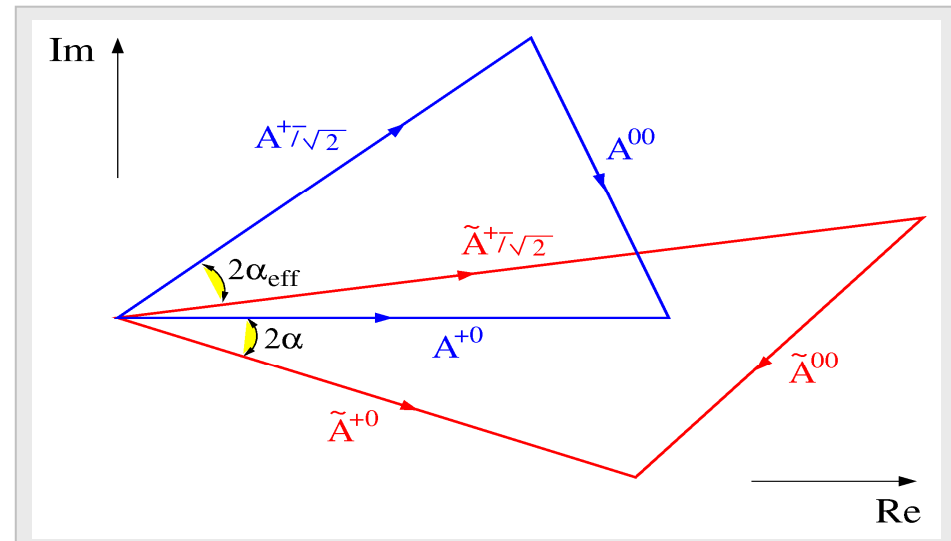
α from isospin analysis of $B \rightarrow \pi\pi$

Triangular relation on amplitudes :

$$A(B^0 \rightarrow \pi^+\pi^-) - \sqrt{2}A(B^+ \rightarrow \pi^+\pi^0) + \sqrt{2}A(B^0 \rightarrow \pi^0\pi^0) = 0$$

(plus a similar relation for the CP-conjugated amplitudes)

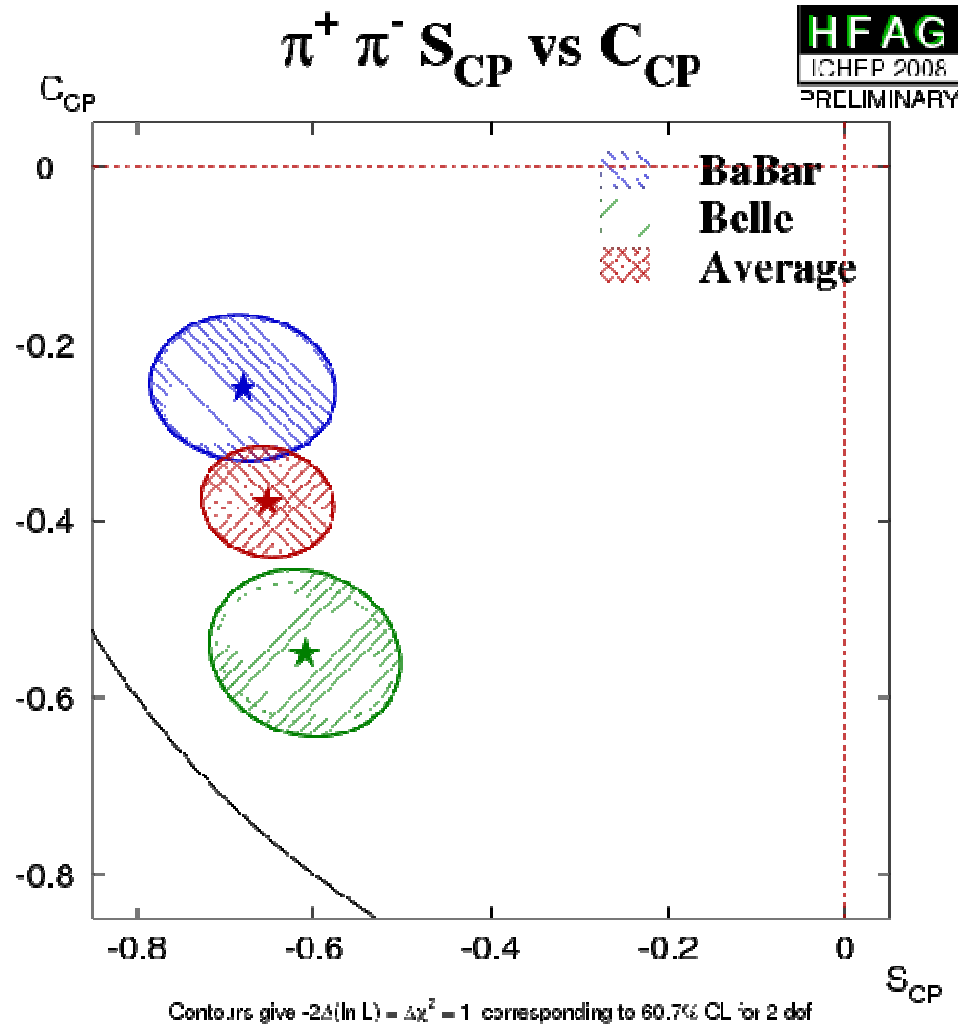
- neglect EW penguins
 - shifts α by $\sim 2^\circ$
- A+0 pure tree : no DCPV
- testable against data
- neglect isospin-breaking effects



α can be resolved up to an 8-fold ambiguity within $[0, \pi]$

Unknowns	Observables	Constraints	Account
$\alpha,$	$B^{+-}, S_{\pi\pi}, C_{\pi\pi}$	2 isospin triangles and one common side	13 unknowns
$T^{+-}, P^{+-},$	B^{+0}, A_{CP}		- 7 observables
$T^{+0}, P^{+0},$	$B^{00}, (S_{00}), C_{00}$		- 5 constraints
T^{00}, P^{00}			- 1 global phase = 0 ☺

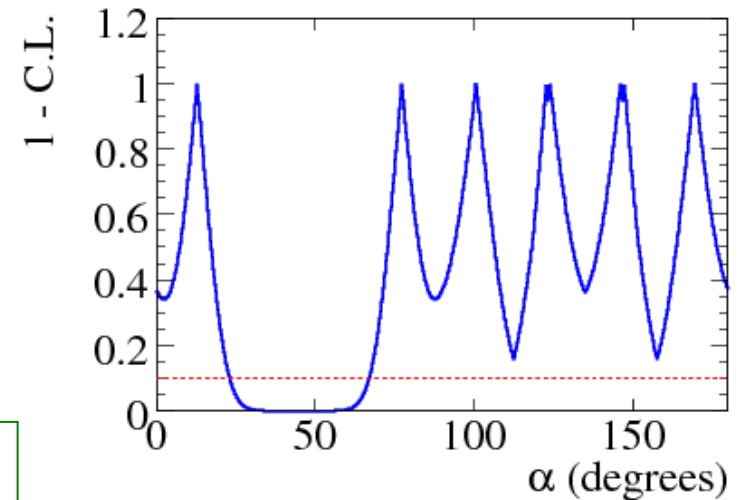
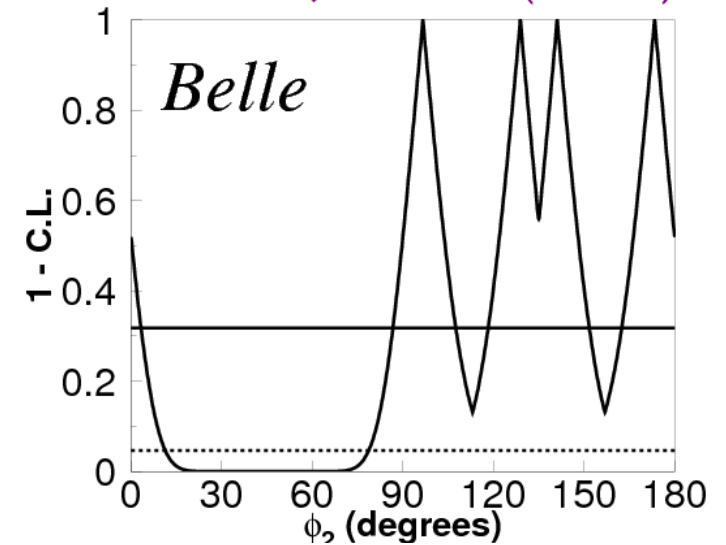
α from isospin analysis of $B \rightarrow \pi\pi$



$S, C(\pi\pi) :$

BaBar/Belle now within 1.9σ

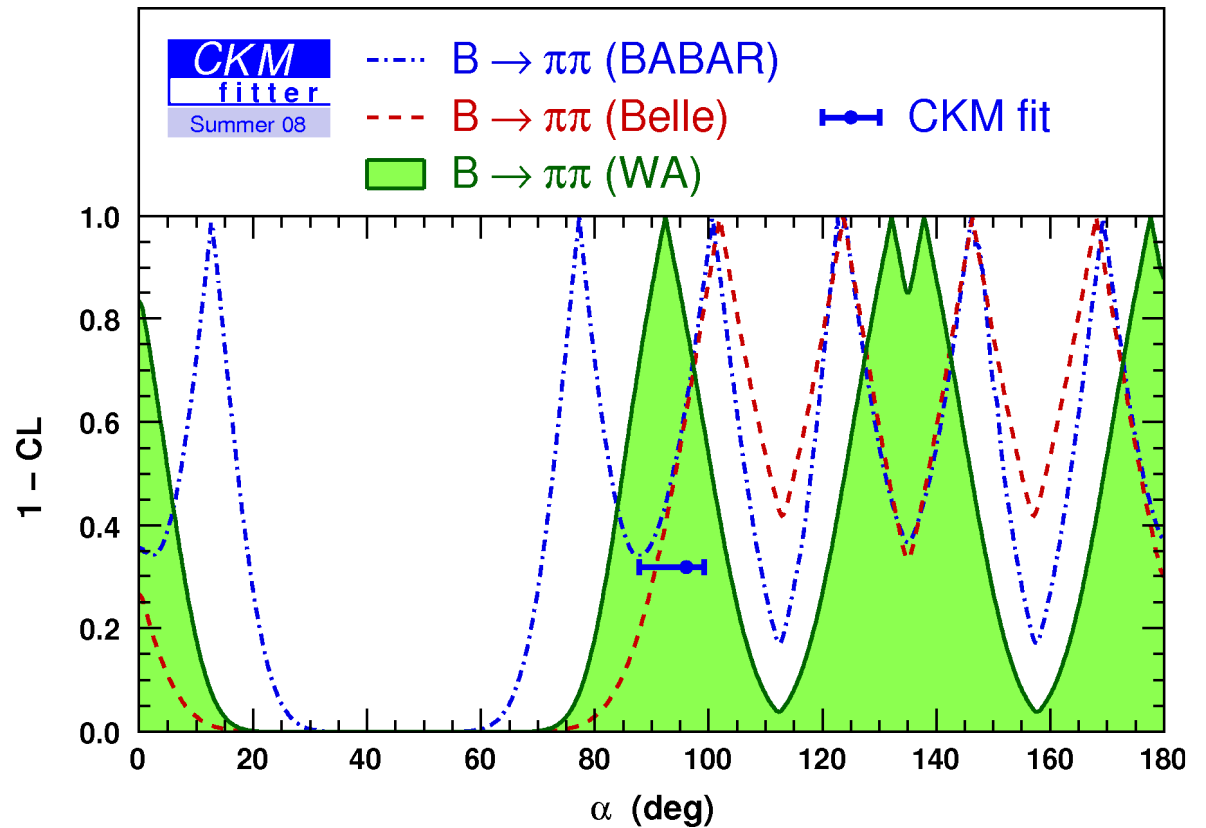
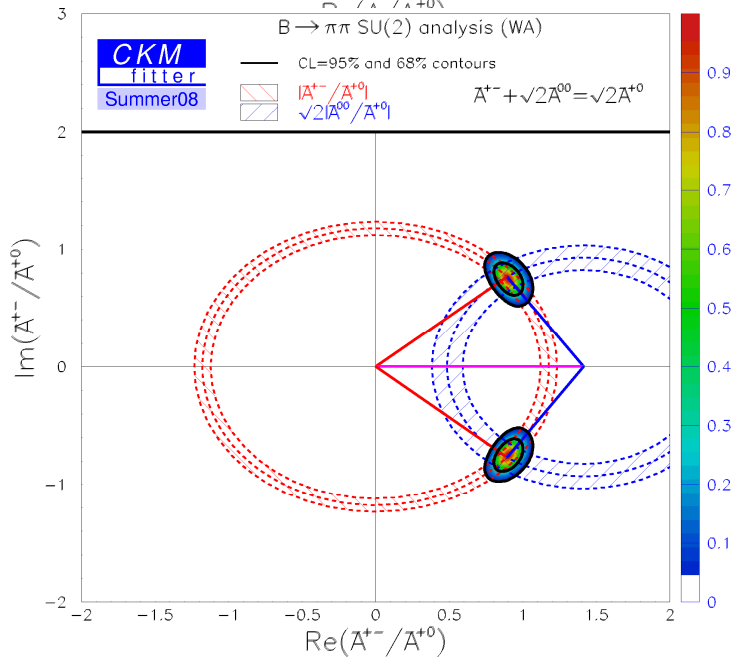
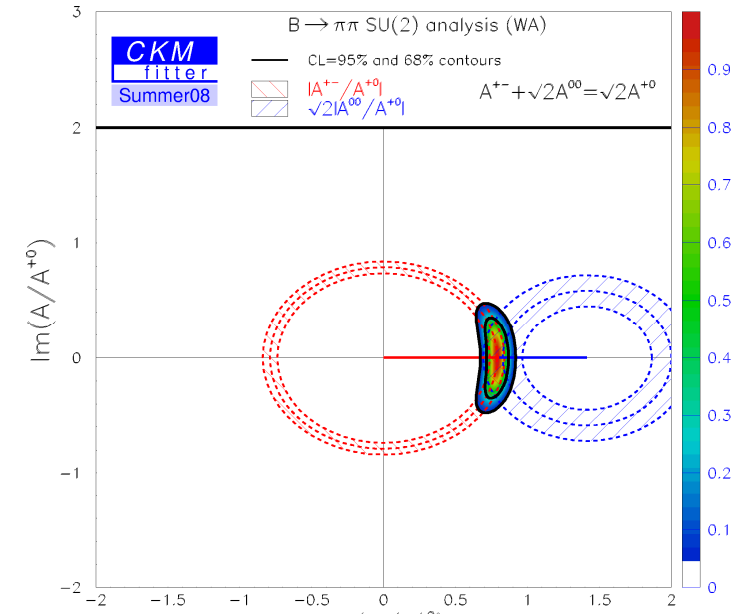
$535 \times 10^6 B\bar{B}$ pairs
PRL 98, 221801(2007)



$467 \times 10^6 B\bar{B}$ pairs
ArXiv:0807.4226

Isospin analysis of $B \rightarrow \pi\pi$

**One of the 2 triangles does not close :
four-fold solution on $\alpha(\pi\pi)$**



α from isospin analysis of $B \rightarrow \rho\rho$

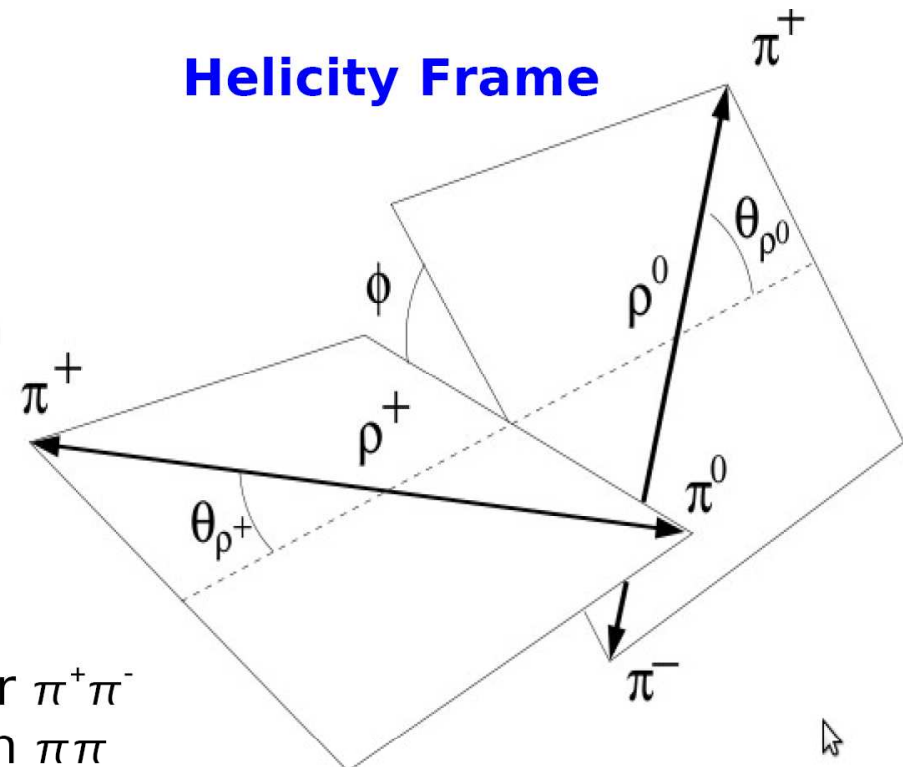
- **Much like $B \rightarrow \pi\pi$**

- **Disadvantages:**

- Wide ρ resonances
- V-V decay: different polarization states ($L=0,1,2$)
 - ⇒ Longitudinal: CP-even
 - ⇒ Transverse: Mixed CP states

- **Advantages:**

- $\text{BF}(\rho^+\rho^-) \sim$ **5 times larger** than for $\pi^+\pi^-$
- Penguin pollution smaller than in $\pi\pi$
- ρ 99% longitudinally polarized
- **Possible to measure $S(\rho^0\rho^0)$**
 - ⇒ raise degeneracy in ambiguities



$$\frac{d^2\Gamma}{\Gamma d \cos \theta_1 d \cos \theta_2} = \frac{9}{4} \left[f_L \cos^2 \theta_1 \cos^2 \theta_2 + \frac{1}{4} (1 - f_L) \sin^2 \theta_1 \sin^2 \theta_2 \right],$$

$B^0 \rightarrow \rho^0 \rho^0$ *is small!*

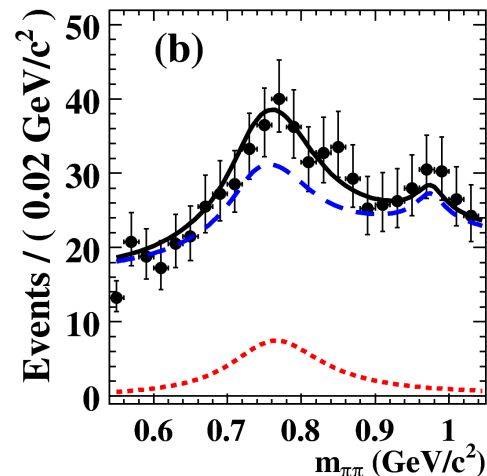
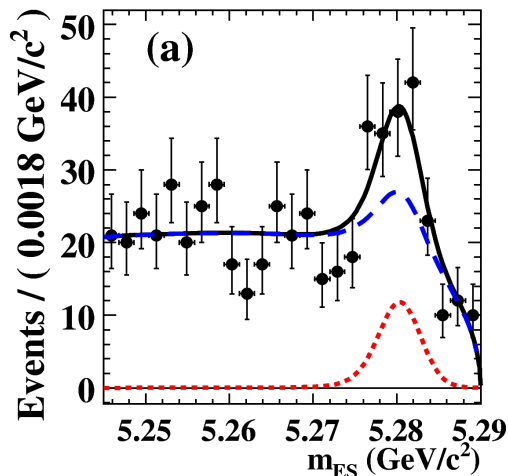
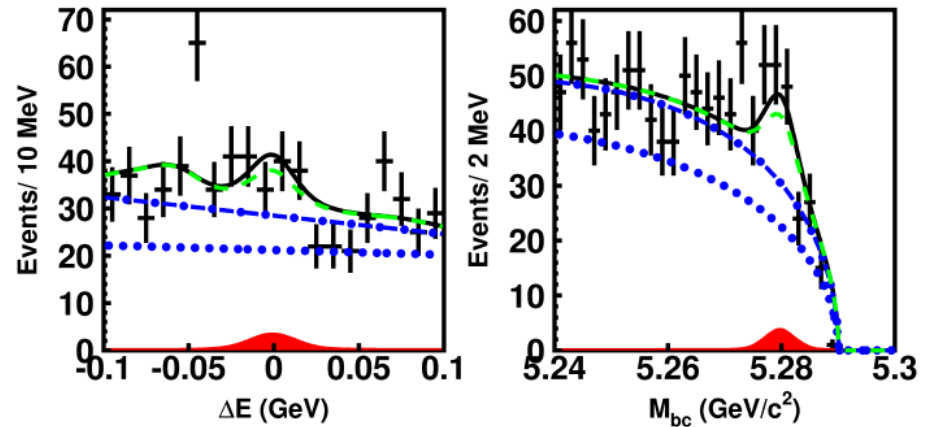
BELLE

**$657 \times 10^6 B\bar{B}$ pairs
[PRD78, 111102(R)]**

$$N_S(\rho^0 \rho^0) = 24.5^{+23.6+10.1}_{-22.1-16.2} \quad (\Sigma = 1.0 \sigma)$$

$$\text{Br}(B^0 \rightarrow \rho^0 \rho^0) < 1.0 \times 10^{-6} \text{ @ 90\% C.L.}$$

$$= (0.4 \pm 0.4^{+0.2}_{-0.3}) \times 10^{-6}$$



BaBar $N_S(\rho^0 \rho^0) = 99^{+35}_{-34} \pm 15$
($\Sigma = 3.1 \sigma$)

465M BB PRD78:071104 (2008)

\Rightarrow Measurement of C_L^{00} and S_L^{00}

$$C_L(\rho^0 \rho^0) = 0.2 \pm 0.8 \pm 0.3$$

$$S_L(\rho^0 \rho^0) = 0.3 \pm 0.7 \pm 0.2$$

$$\text{Br}(B^0 \rightarrow \rho^0 \rho^0) = (0.92 \pm 0.32 \pm 0.14) \times 10^{-6}$$

SU(2) triangle even more squashed

$B^+ \rightarrow \rho^+ \rho^0$: *new result*

Improved measurement of $B^+ \rightarrow \rho^+ \rho^0$

- Improved event selection (better efficiency)
- Better Background suppression
- Better BB background model
- Model variables correlations with mult-Dim PDFs

1122 ± 63 signal Events

465M BB hep-ex/0921.3522 (2009)

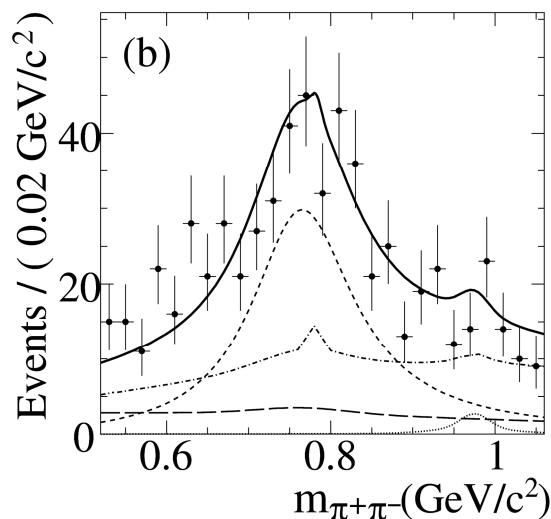
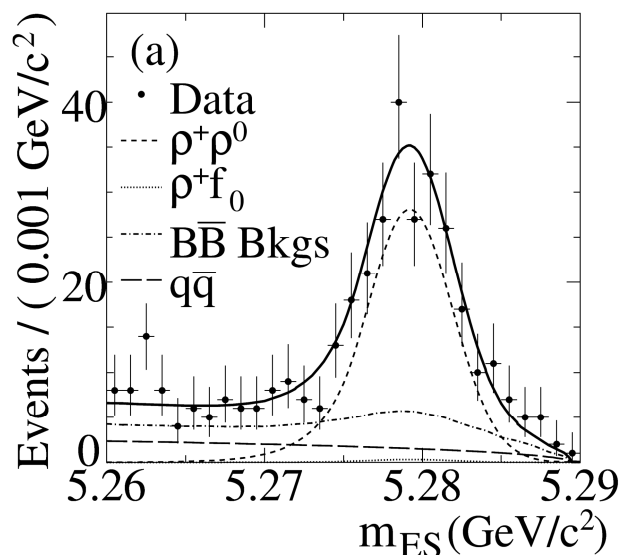
$$\text{BF}(\rho^+ \rho^0) = (23.7 \pm 1.4 \pm 1.4) \times 10^{-6}$$

$$f_L(\rho^+ \rho^0) = 0.950 \pm 0.015 \pm 0.006$$

$$A_{\text{CP}}(\rho^+ \rho^0) = -0.054 \pm 0.055 \pm 0.010$$

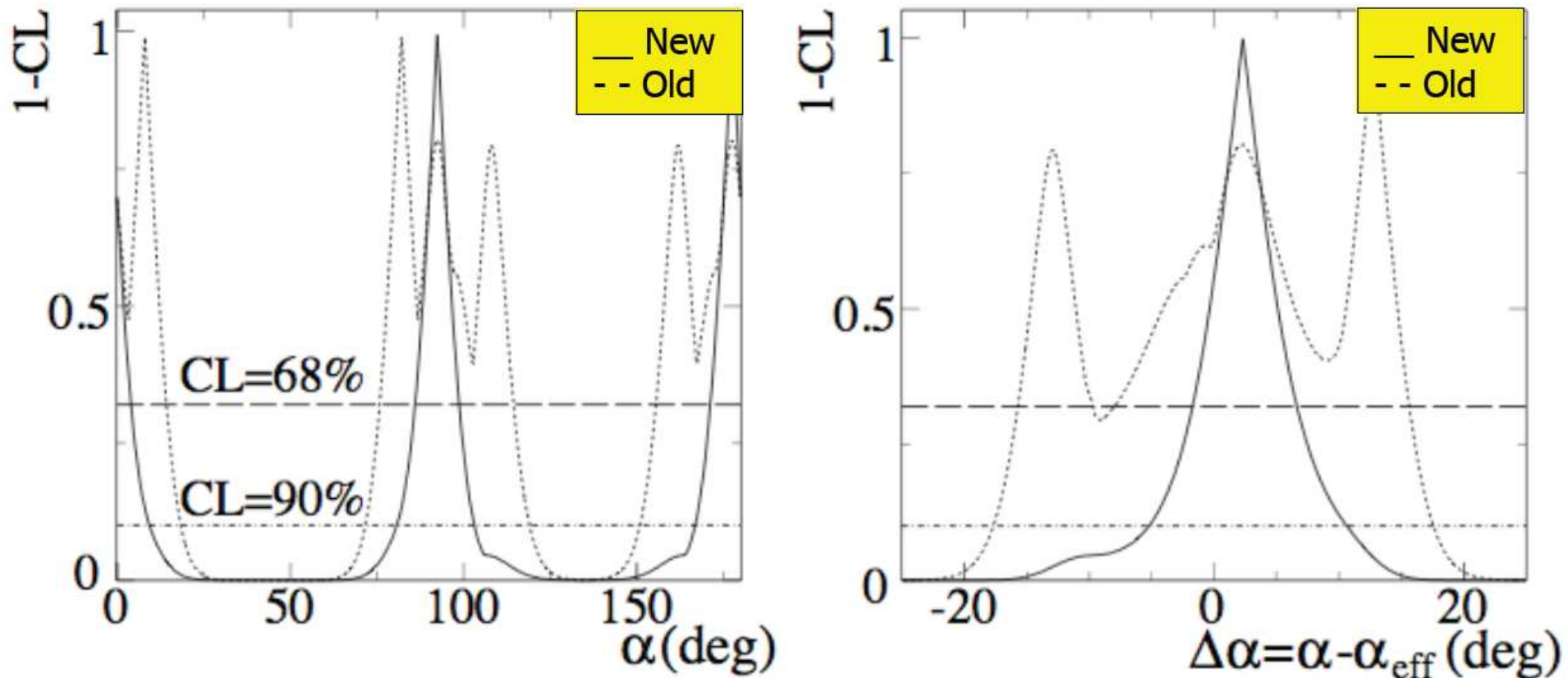
Higher central value w.r.t.
BaBar previous Analysis

PRL97:261801 (2006)



**SU(2) triangle
even more squashed**

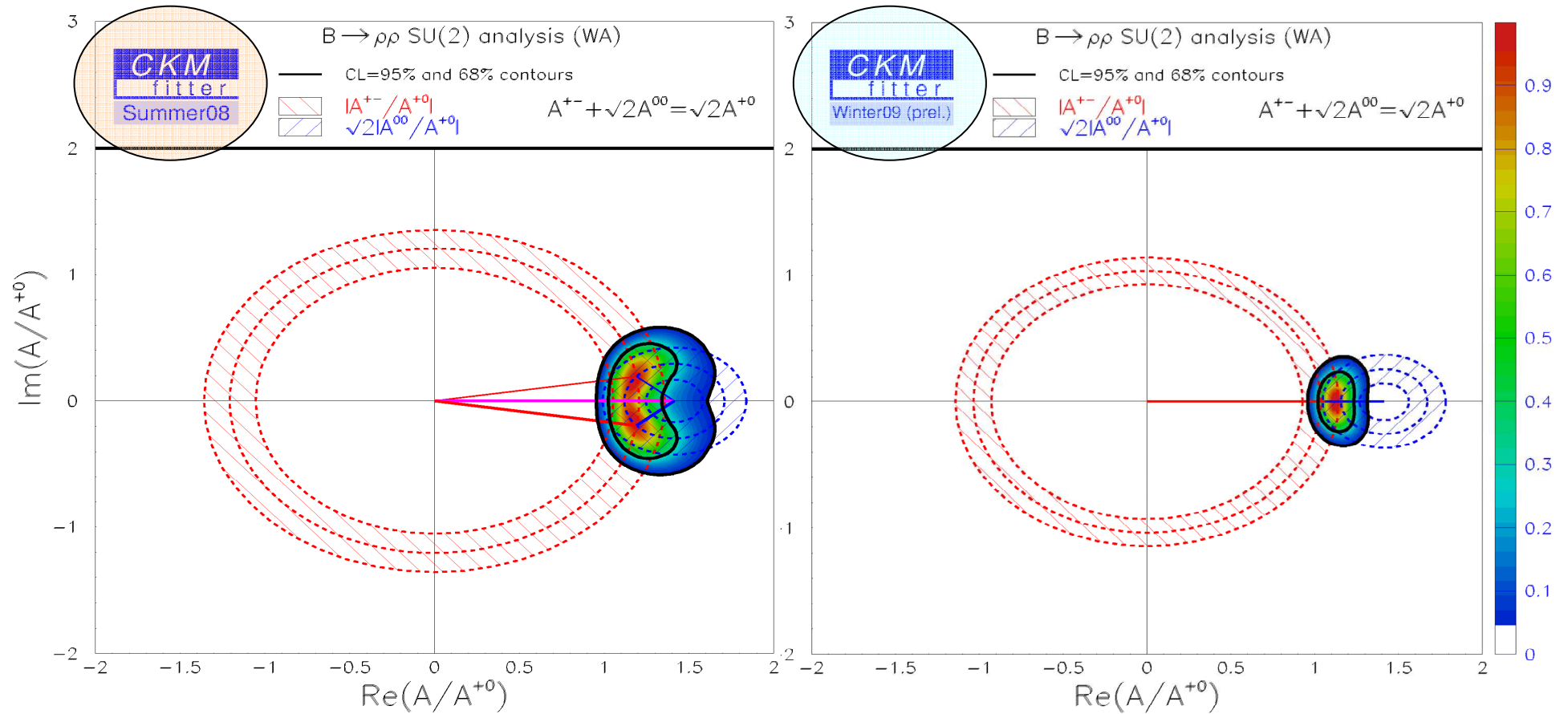
BaBar : Isospin analysis of $B \rightarrow \rho\rho$



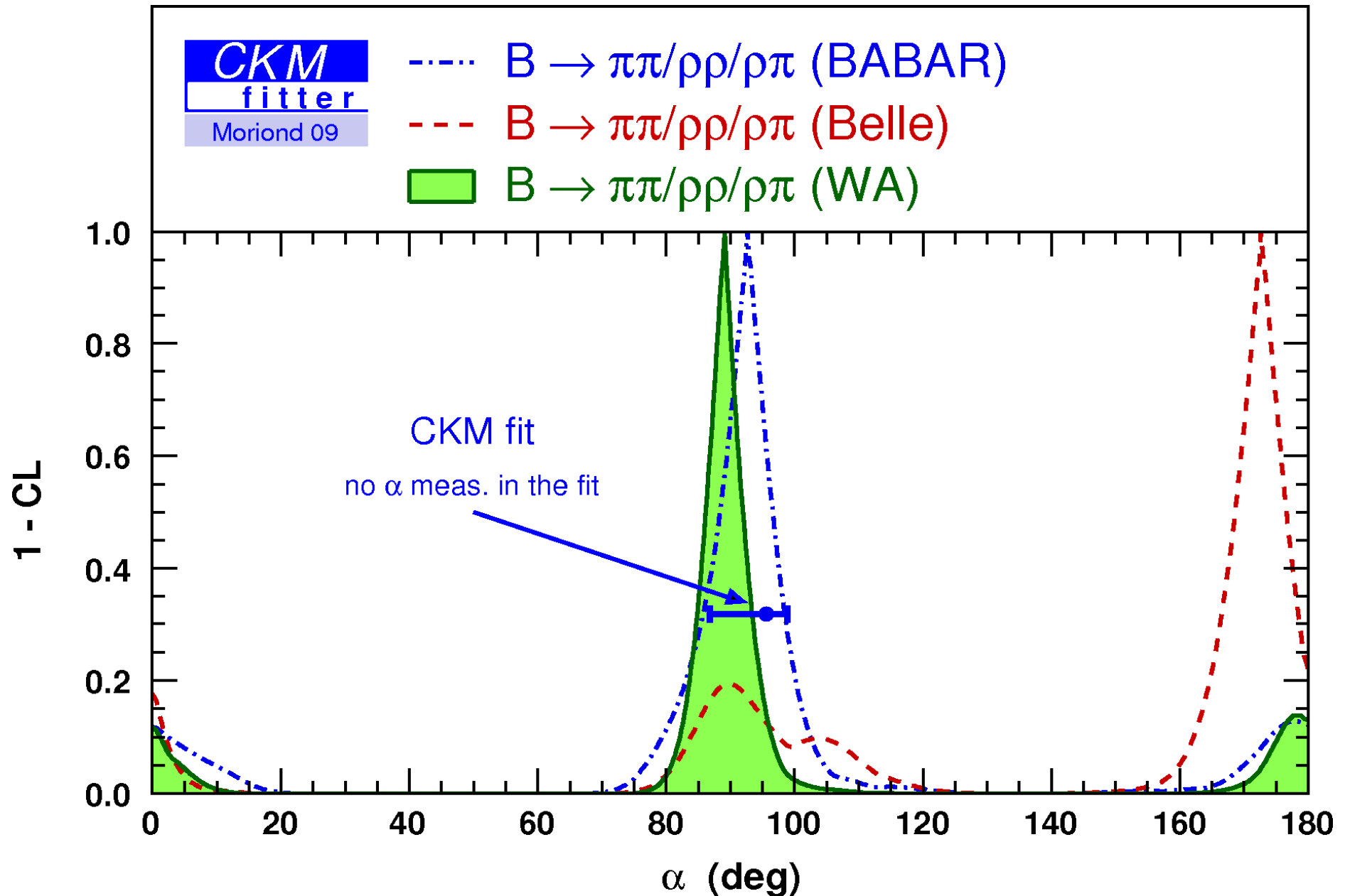
$$-1.8^\circ < \Delta\alpha < 6.7^\circ$$

Isospin analysis of $B \rightarrow \rho\rho$

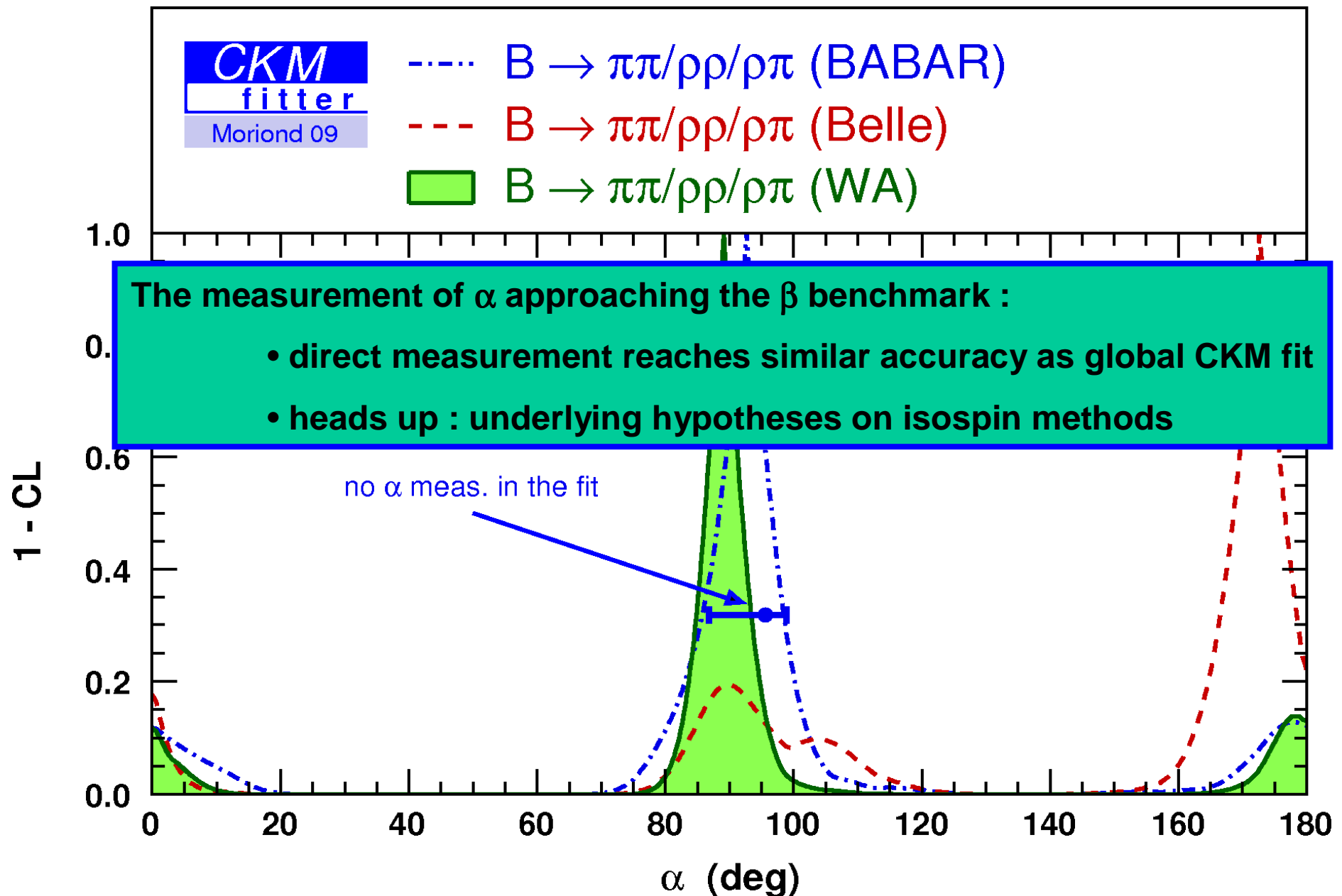
Both B and B isospin triangles do not close (consistent within errors)
 mirror solutions are degenerated in a single peak



α as of Moriond 2009 : a precision measurement!



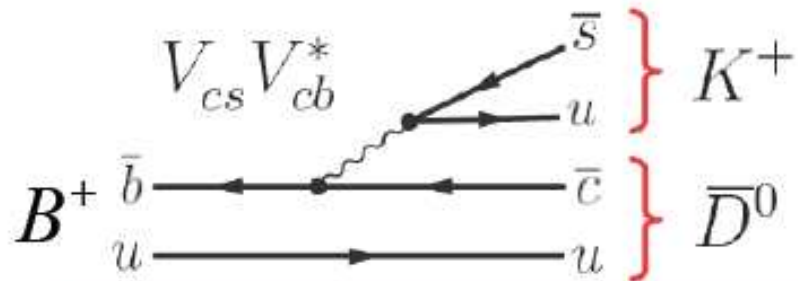
α as of Moriond 2009 : a precision measurement!



The most difficult angle ...

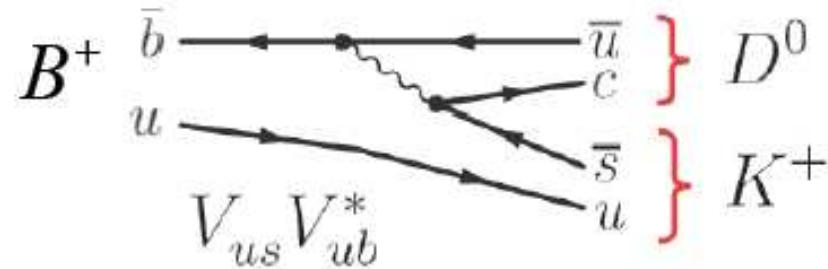
Use interference between $B^+ \rightarrow D^0 K^+$ and $B^+ \rightarrow \bar{D}^0 K^+$ with both D^0 and \bar{D}^0 decaying to the same final state f

Cabibbo allowed



$$A(B^+ \rightarrow \bar{D}^0 K^+) \propto V_{cb}^* V_{us} \propto \lambda^3$$

Cabibbo and color suppressed

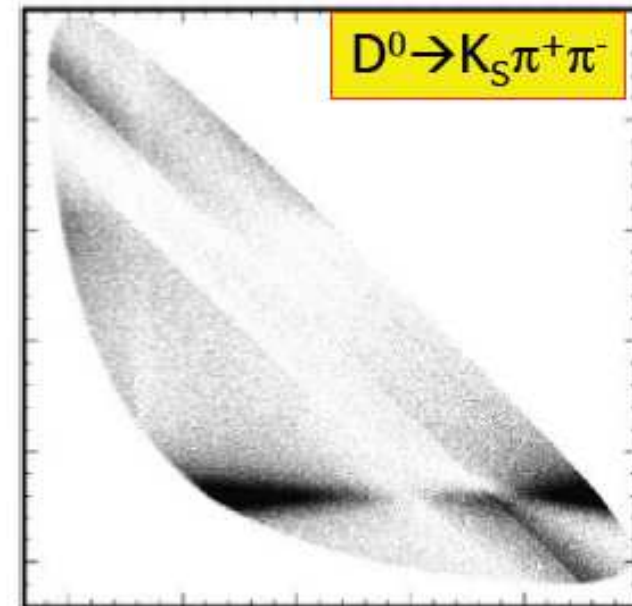


$$A(B^+ \rightarrow D^0 K^+) \propto V_{ub}^* V_{cs} \propto \lambda^3 r_B e^{i\delta_B} e^{i\gamma}$$

NB: only tree diagrams: 100% Standard Model

The most difficult angle ...

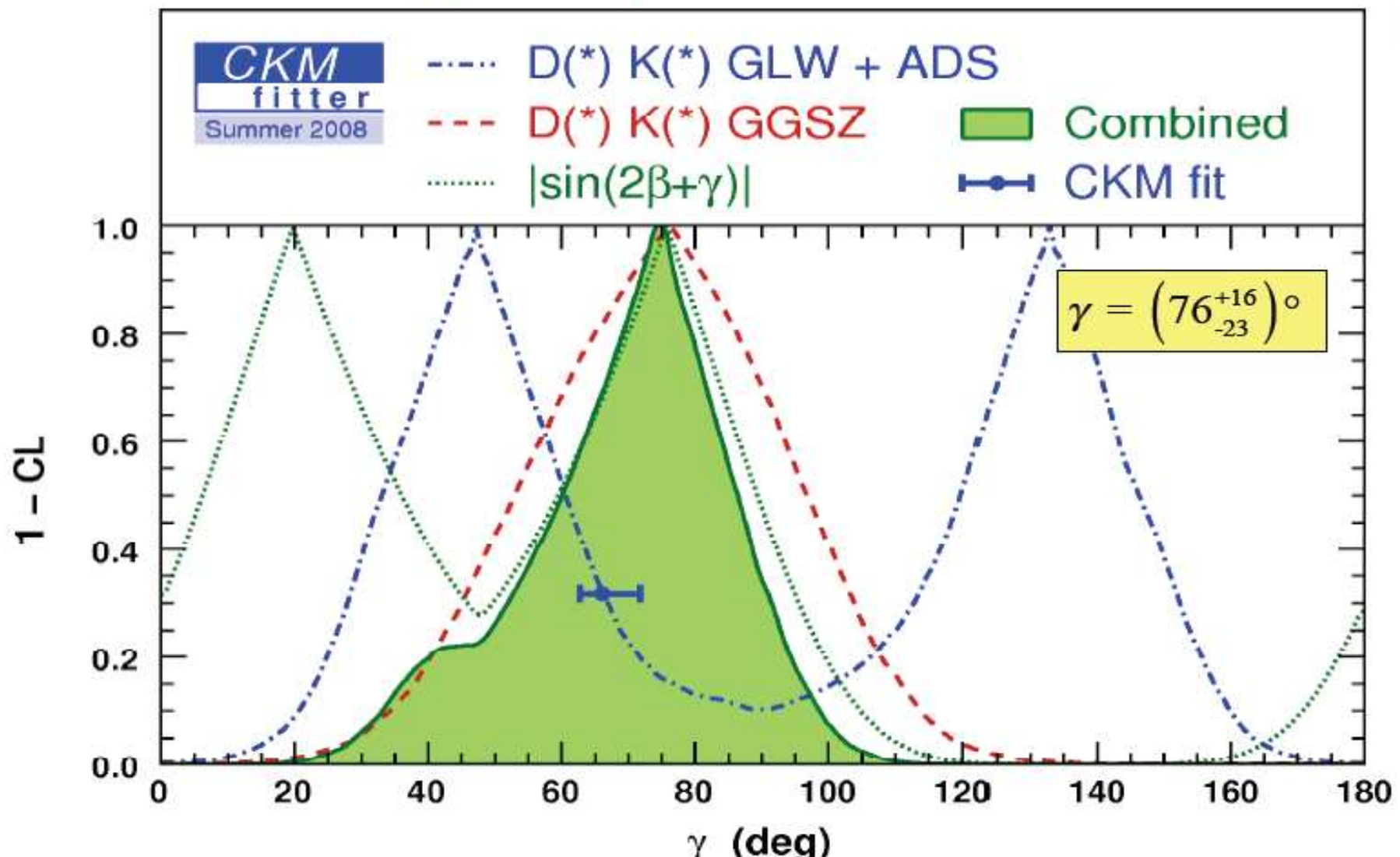
- **GWL (Gronau, Wyler, London)**
 - $D \rightarrow$ CP eigenstate
 - Theoretically clean
 - Small interference: needs more data
- **ADS (Atwood, Dunietz, Soni)**
 - $A(\bar{D} \rightarrow f)$ is doubly Cabibbo suppressed
 - Larger interference
 - Small BF: needs more data



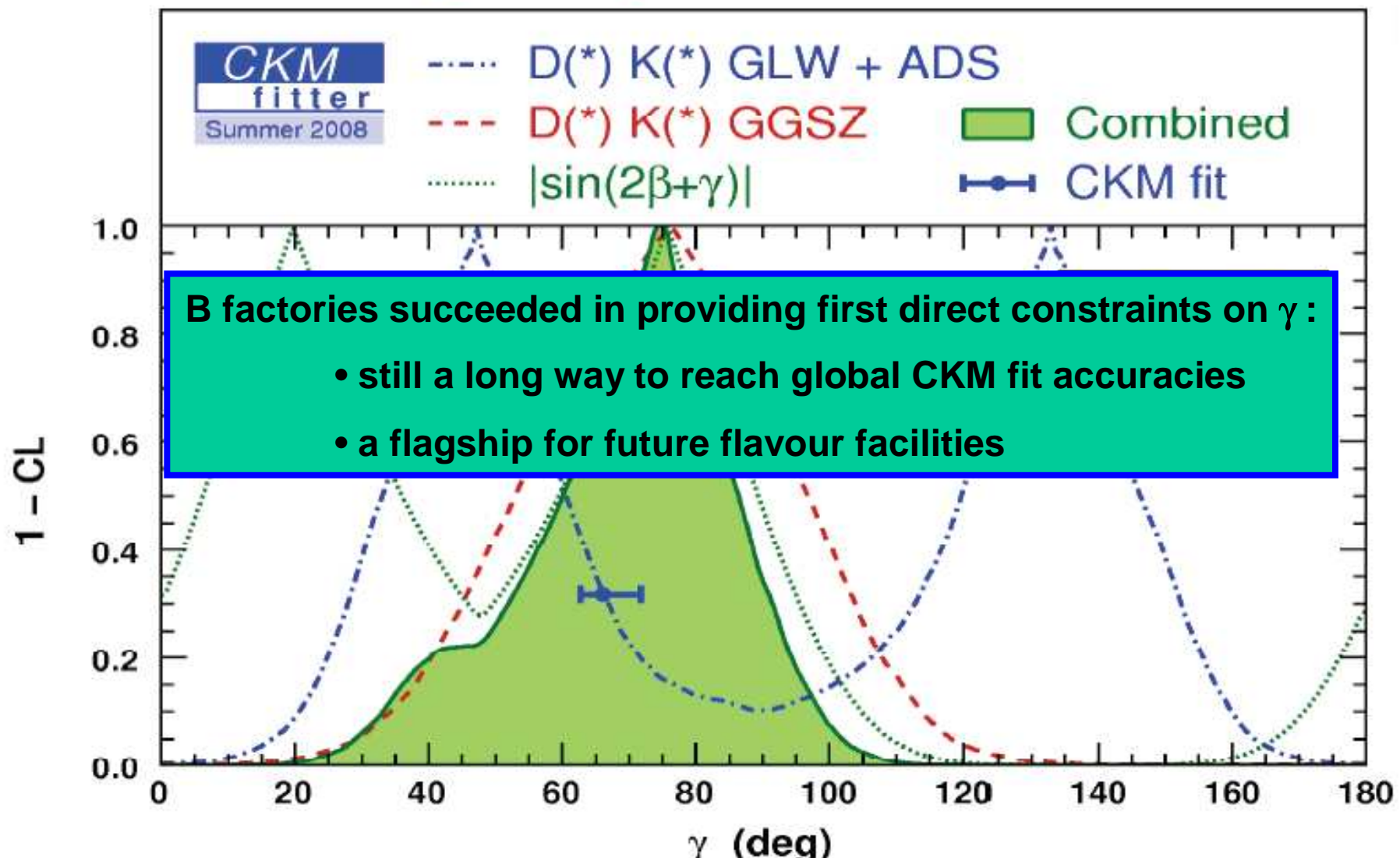
- **Dalitz method (Giri, Grossman, Soffer, Zupan)**
 - Exploits interference pattern in Dalitz plot in $D \rightarrow K_S \pi^+ \pi^-$
 - Combines many modes \rightarrow statistical advantage
 - Small systematics due to Dalitz model

Currently
most sensitive

Summary of γ measurements



Summary of γ measurements



The most difficult angle ... some thoughts

Paths towards a non $B \rightarrow \text{charm}$ measurement of γ ?

Recurring issue, often discussed in literature

Several charmless systems (i.e. $K\pi$, $K\pi\pi$) are in principle sensitive to γ

direct CP violation shows γ should be at play !

Most proposed extraction techniques require either :

(difficult to control) external hypotheses, i.e. on hadronic parameters

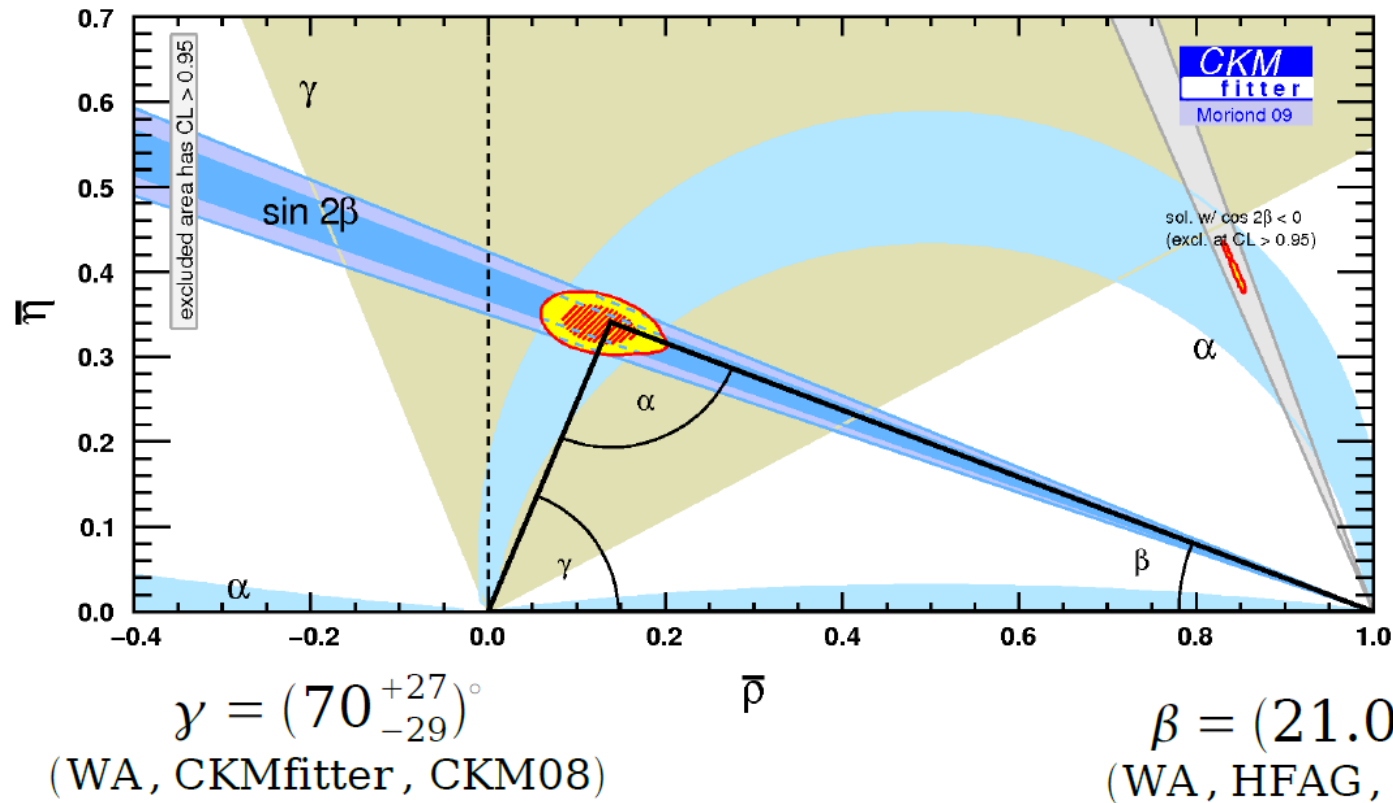
(difficult to access) observables, i.e. TD-CP of $K^0\pi^0$ or Dalitz phases

Ideas welcome!

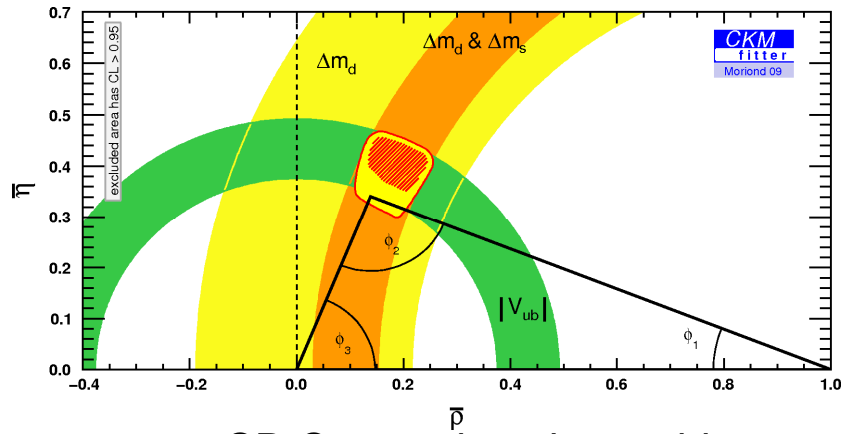
Summary for the Angles

$$\alpha = (89.0^{+4.4}_{-4.2})^\circ$$

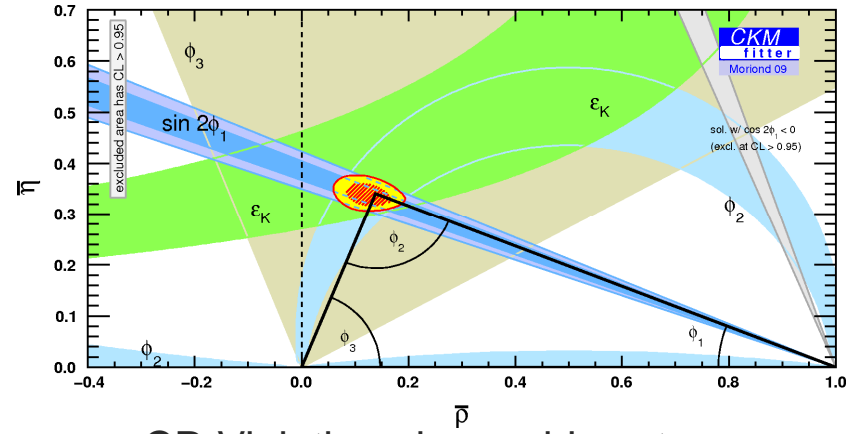
(WA, CKMfitter, Winter09)



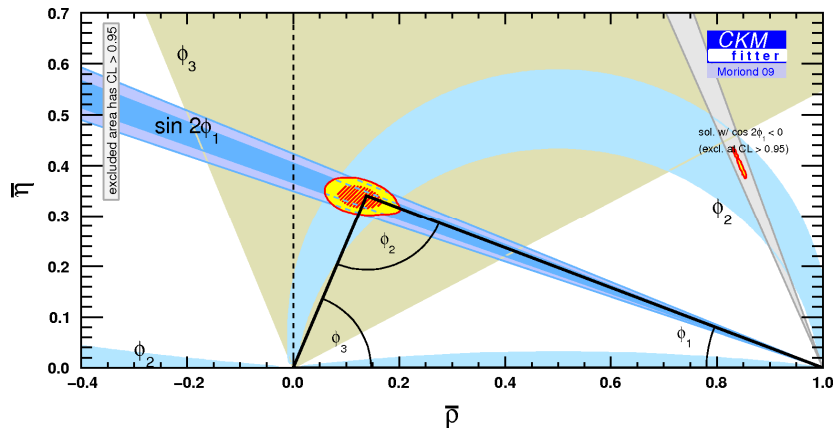
Summary on CKM via angles



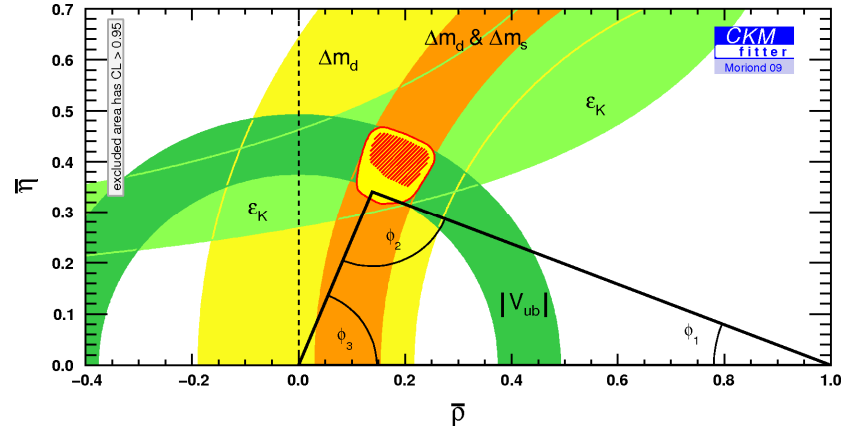
CP-Conserving observables
imply CP violation.



CP-Violating observables stresses
the same feature



Angles (small theoretical uncertainties)



No angles (theoretical uncertainties
dominate)

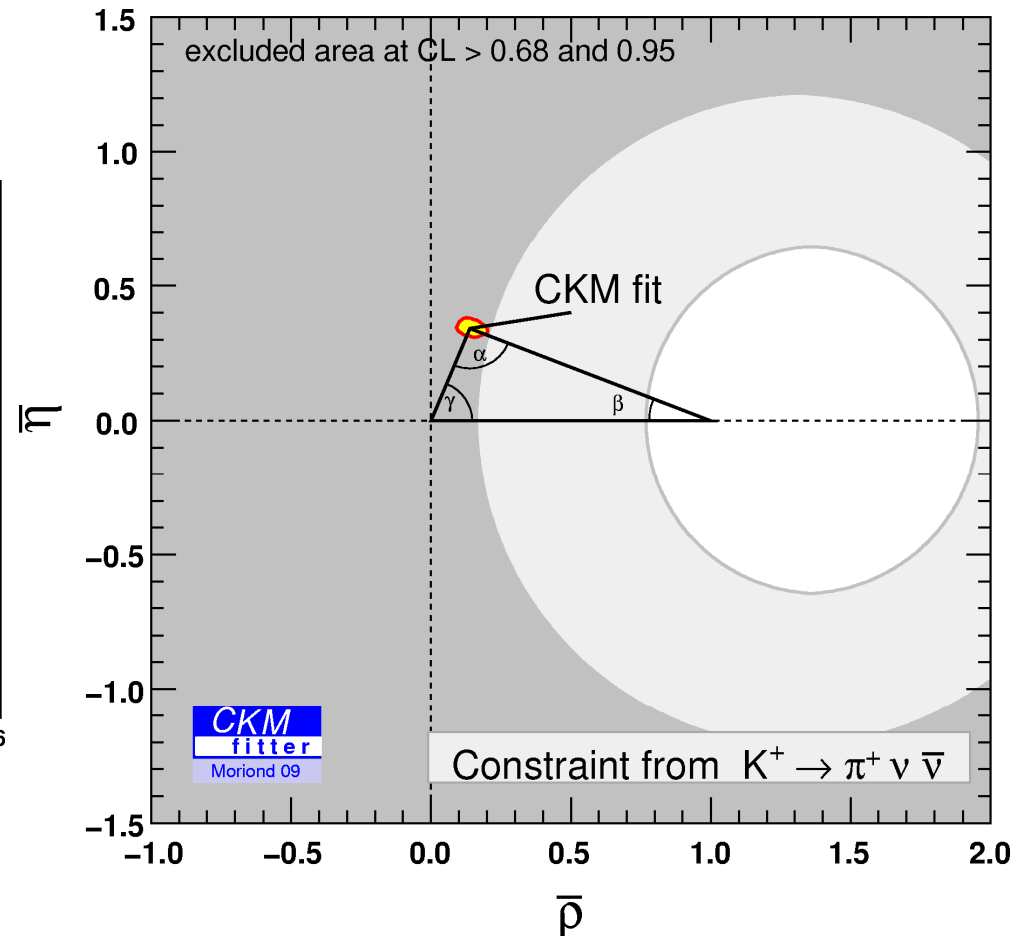
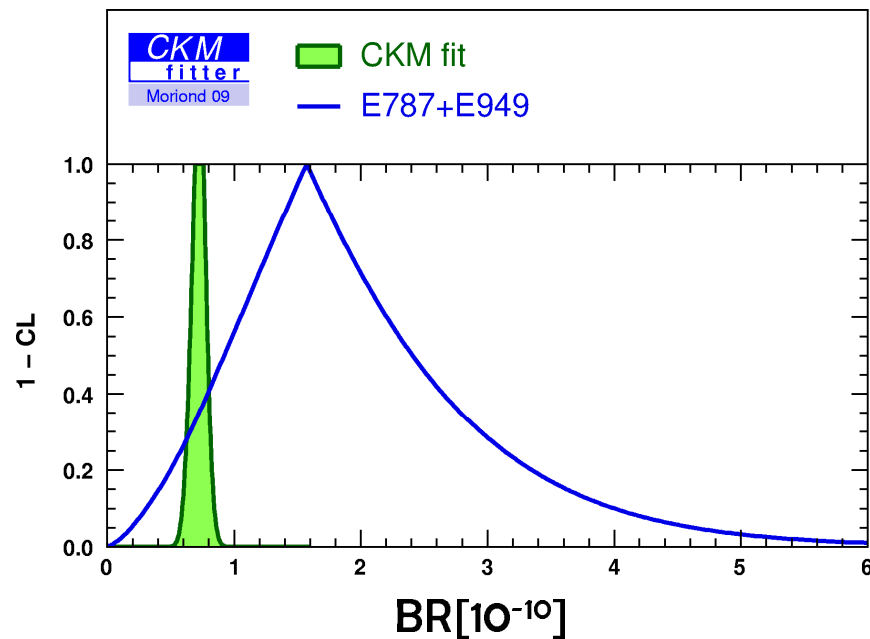
A word on the ultra-rare kaon decay $K^+ \rightarrow \pi^+ \nu \bar{\nu}$

- Recent E949 update (arXiv:0903.0030 with 5 events (& incl. E787)):

$$\text{BR} [10^{-10}] = 1.73^{+1.15}_{-1.05}$$

- BR parameterization as Brod & Gorbahn '08 (PRD 78, 034006)
NLO QED-QCD & EW corr. to the charm quark contribution
 $\alpha_s(m_Z) = 0.1176(20)$ & $m_c(m_c) = 1.286(13)(40)$

$$\text{CKM fit: } \text{BR}[10^{-10}] = 0.80^{+0.08}_{-0.10}$$



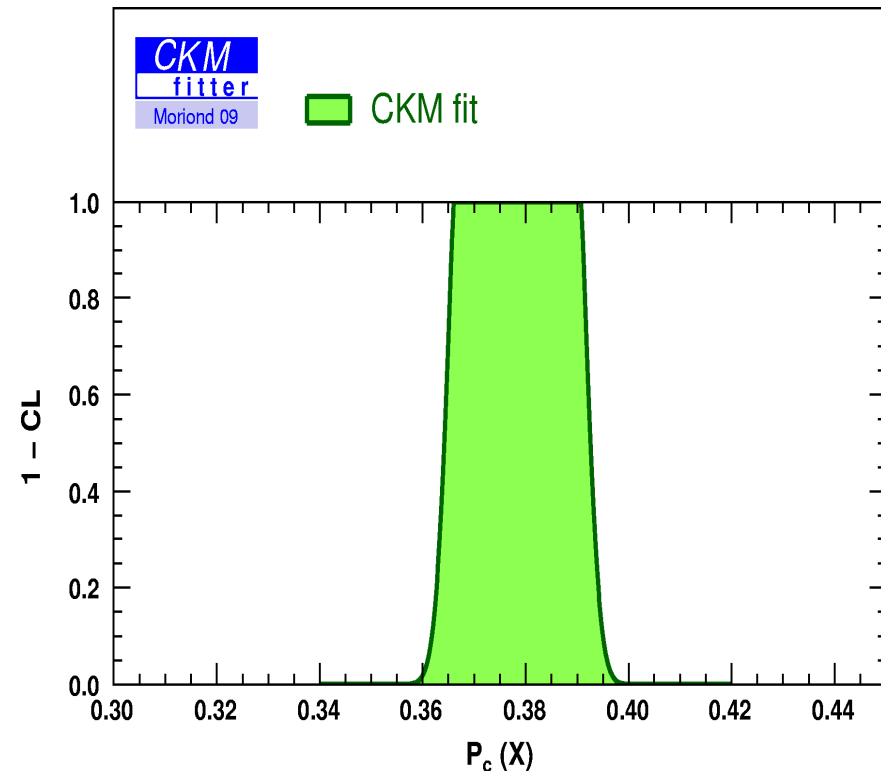
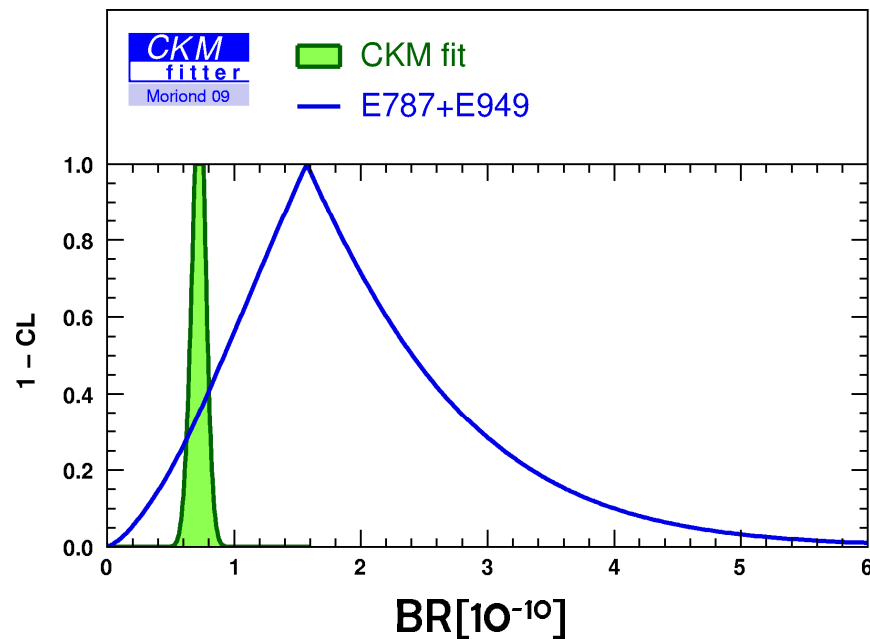
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Charm term $P_c(X)$ controlled at ~few %

A word on CKM from kaons

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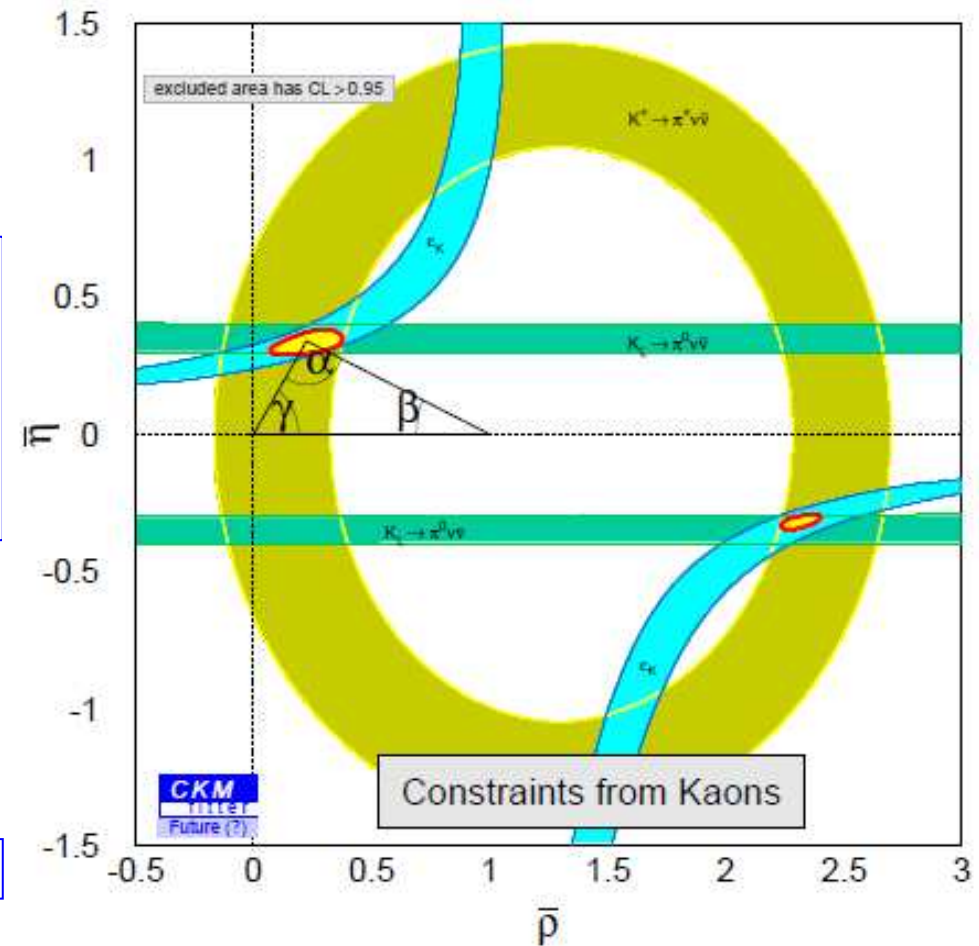
$$\text{CKM fit: } \text{BR}[10^{-10}] = 0.80^{+0.08}_{-0.10}$$

Prospective study : assume

- $K^+ \rightarrow \pi^+ \nu \bar{\nu}$ measured by NA62 (~10%)
- $K_L \rightarrow \pi^0 \nu \bar{\nu}$ measured by J-PARC (~15%)
- mild improvement on theory error for ϵ_K

A strongly constrained CKM matrix
Only using Kaon inputs

Caveat: plot uses a pre-NNLO treatment of $P_c(X)$...



Summary

B factories have accumulated a large, clean data sample

- mostly dedicated to B physics
- established CKM mechanism as dominant source of CPV
 - leaves many questions open
- only discussed a small (but key) fraction of B factories results
 - could/should have added at least :
 - radiative decays
 - null tests of the CKM matrix
 - prospects for pure leptonic decays

Conclusions

Current priority of B factories

- Fully exploit the physics in the recorded data sample

Moving to a precision-measurement regime in flavour physics

- Explore loop-dominated processes
- Search for SM-suppressed (or forbidden) modes
- Case for High-performance Facilities
 - present : LHCb in a hadronic environment
 - future B-factories : Super-B and/or Belle upgrade

“shake the box” :

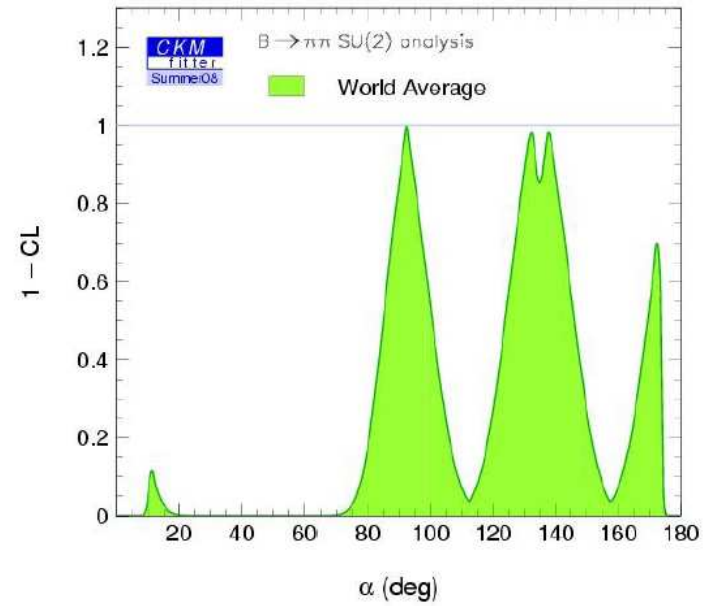
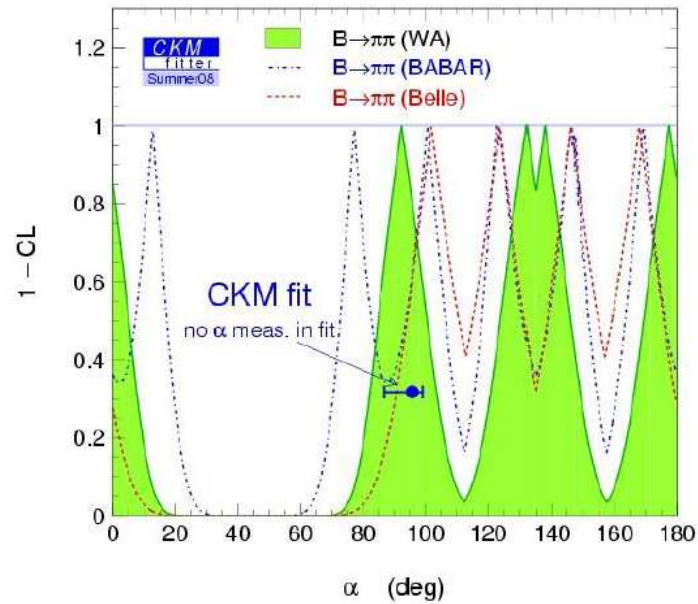
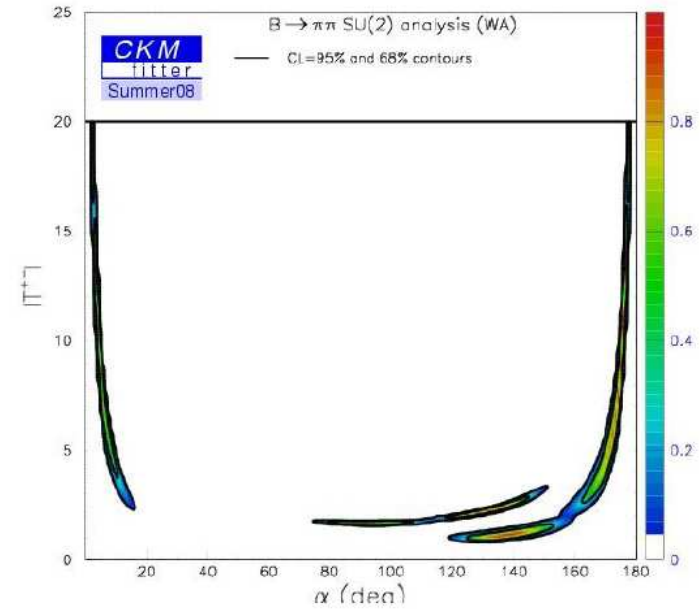
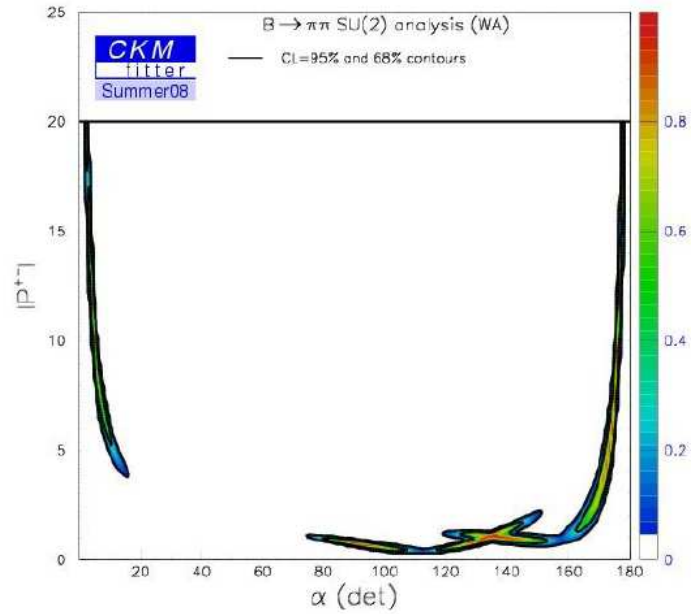
Flavour physics complements the programme of direct searches for New Physics at the LHC

Backup material

Mostly borrowed from my CKMfitter colleagues

More details on V. Tisserand's presentation at Moriond09

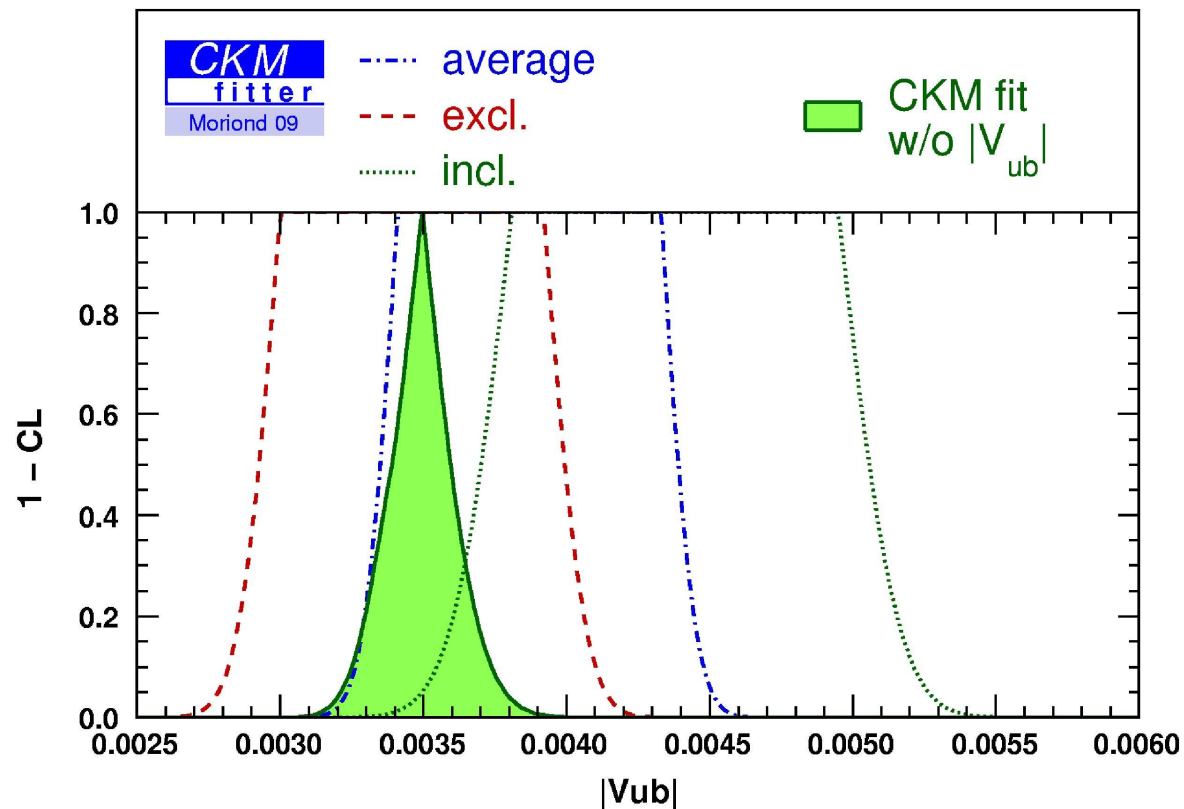
P and T



2) CKM Matrix: The SM Fit inside 95%CL. frémissements?

2.4.1 $|V_{ub}|$ vs $\sin 2\beta$?

It is actually more a $|V_{ub}|$ vs $|V_{ub}|$ tension. We are living with a significant difference between exclusive and inclusive measurements: a longstanding issue. The $\sin 2\beta$ measurement prefers the exclusive value.

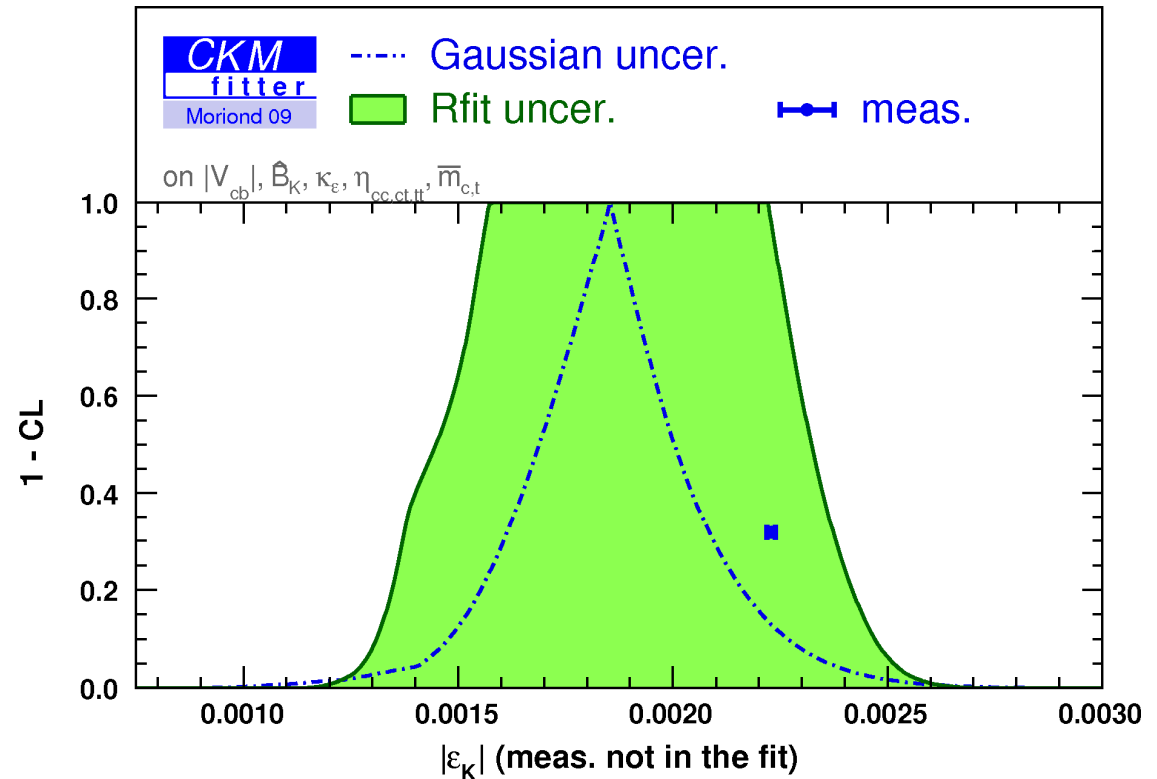


2) CKM Matrix: The Standard Model Fit. Tensions, frémissements, hints ?

2.4.2 $|\epsilon_K|$ vs $\sin 2\beta$?

Buras & Guadagnoli recently advocated necessity of an additional parameter in the SM lowering the prediction. The resulting tension $|\epsilon_K|$ vs $\sin 2\beta$ might have very appealing explanations (Soni & Lunghi).

- ✓ We included the additional parameter and got the result in green.
- ✓ Slight change as expected w.r.t to the standard fit.
- ✓ The tension arises if all the uncertainties on QCD parameters are gaussian. Are they ?



2) CKM Matrix: The Standard Model Fit. Tensions, frémissements, hints ?

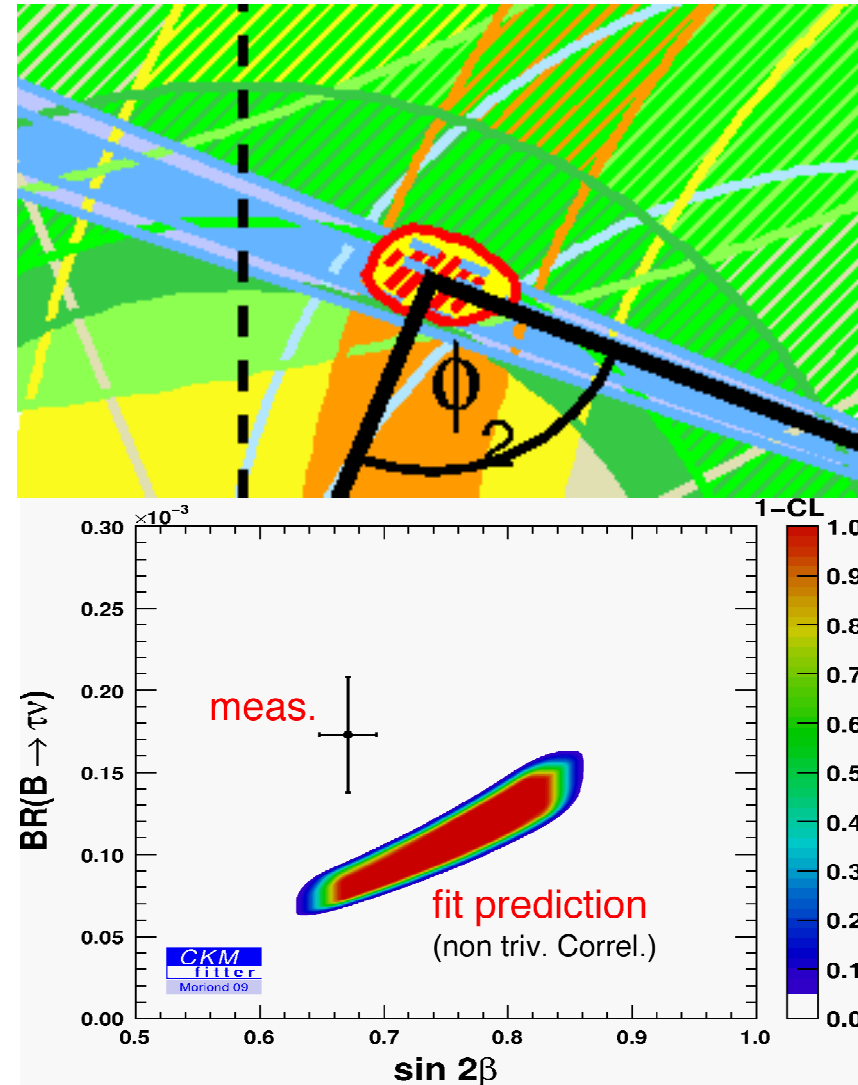
2.4.3 $BR(B^+ \rightarrow \tau^+ \nu)$ vs $\sin 2\beta$?

Actually a large effect:

Tension between $\sin(2\beta)$ (I) & $BR(B^+ \rightarrow \tau^+ \nu)$ (II) (through $|V_{ub}|$):

Removing I/II in the CKM global fit,

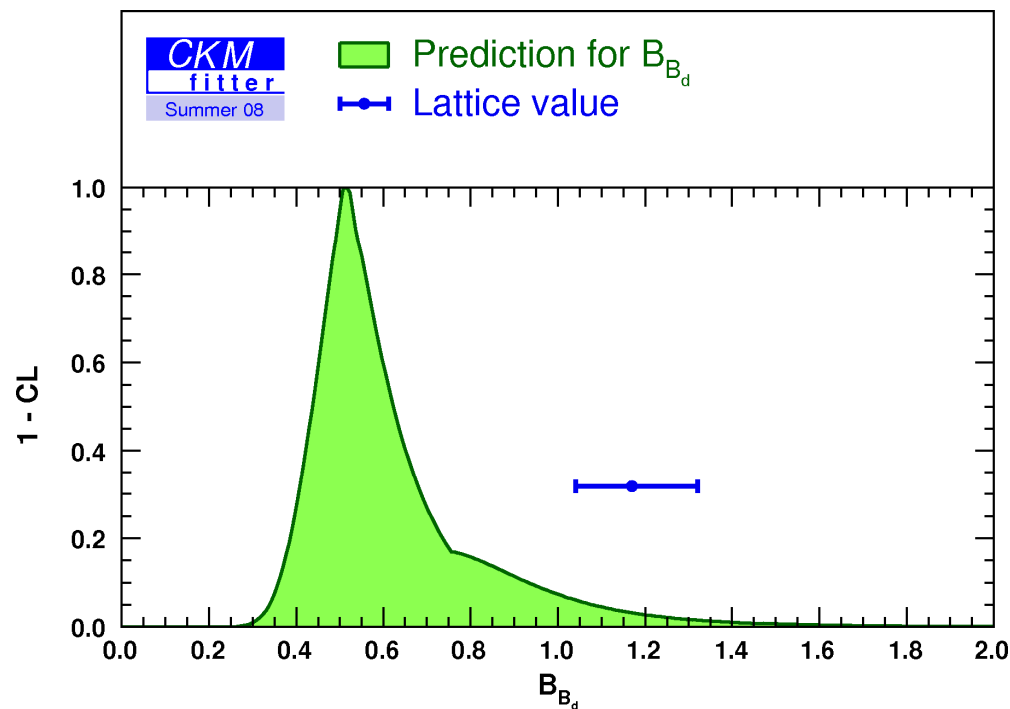
the χ^2_{\min} drops by 2.3/2.4 σ .



2) CKM Matrix: The Standard Model Fit.

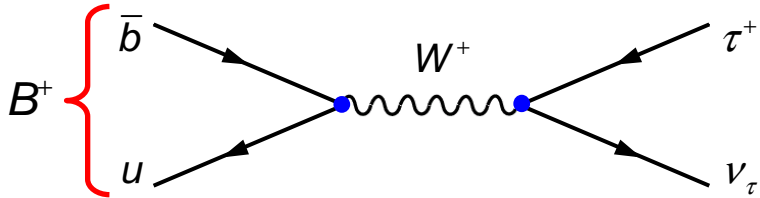
2.4.3 $\text{BR}(\text{B}^+ \rightarrow \tau^+ \nu)$ vs $\sin 2\beta$?

Looking in the detail, it is a non trivial correlation; we could think of $|V_{ub}|$, $|\epsilon_K|$, f_{B_d} ... Actually, analysing simultaneously Δm_d and $\text{BR}(\text{B}^+ \rightarrow \tau^+ \nu)$ gives a theory free determination of the B_{B_d} factor and the tension is brought there.



$B^+ \rightarrow \tau^+ \nu$
experim.

- ☀ helicity-suppressed annihilation decay sensitive to $f_B \times |V_{ub}|$
- ☀ Sensitive to tree-level charged Higgs replacing the W propagator.



$$BR(B^+ \rightarrow \tau^+ \nu) = \frac{G_F^2 m_B \tau_B}{8\pi} m_\tau^2 \left(1 - \frac{m_\tau^2}{m_B^2}\right)^2 f_B^2 |V_{ub}|^2$$



BR[10⁻⁴] = 1.80 ± 0.63
 { 1.80 ± 1.00 (had)
 { 1.80 ± 0.81 (semi-lept)



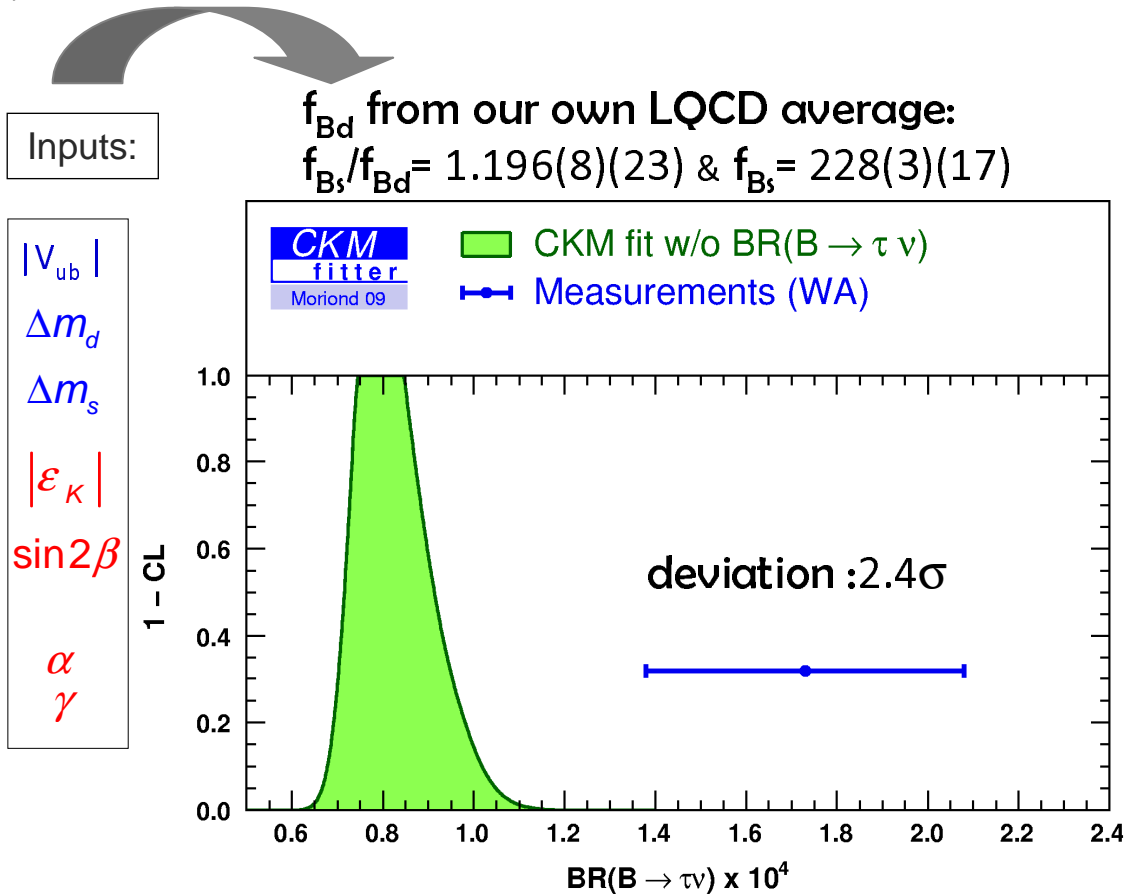
BR[10⁻⁴] = 1.70 ± 0.42
 { 1.79 ± 0.71 (had)
 { 1.65 ± 0.52 (semi-lept)

Measurement are consistent & WA:

BF[10⁻⁴] = 1.73 ± 0.35

Measurement from global CKMfit:

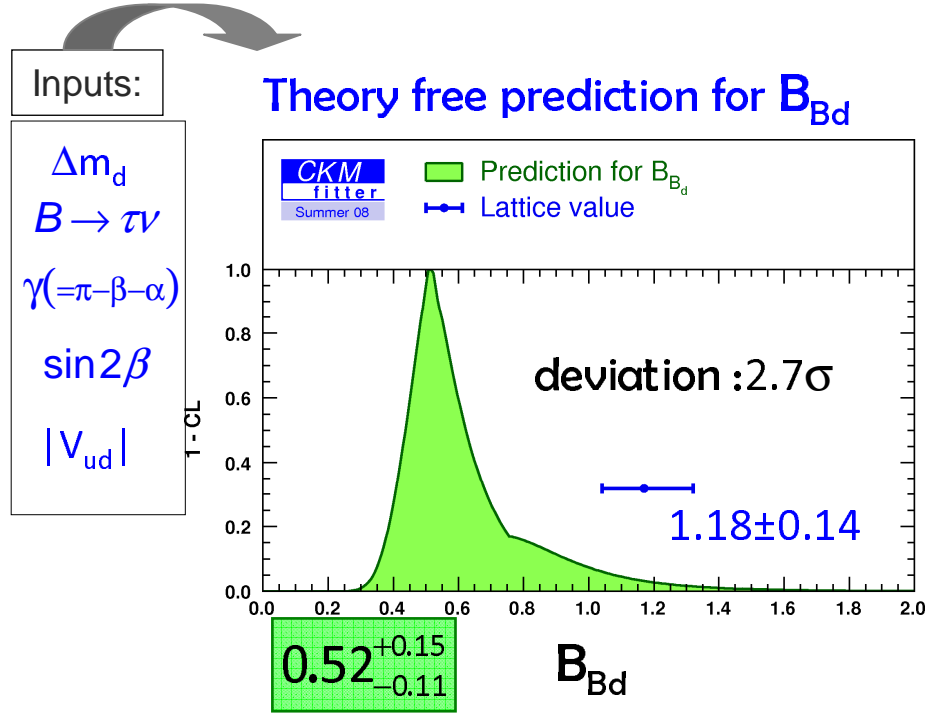
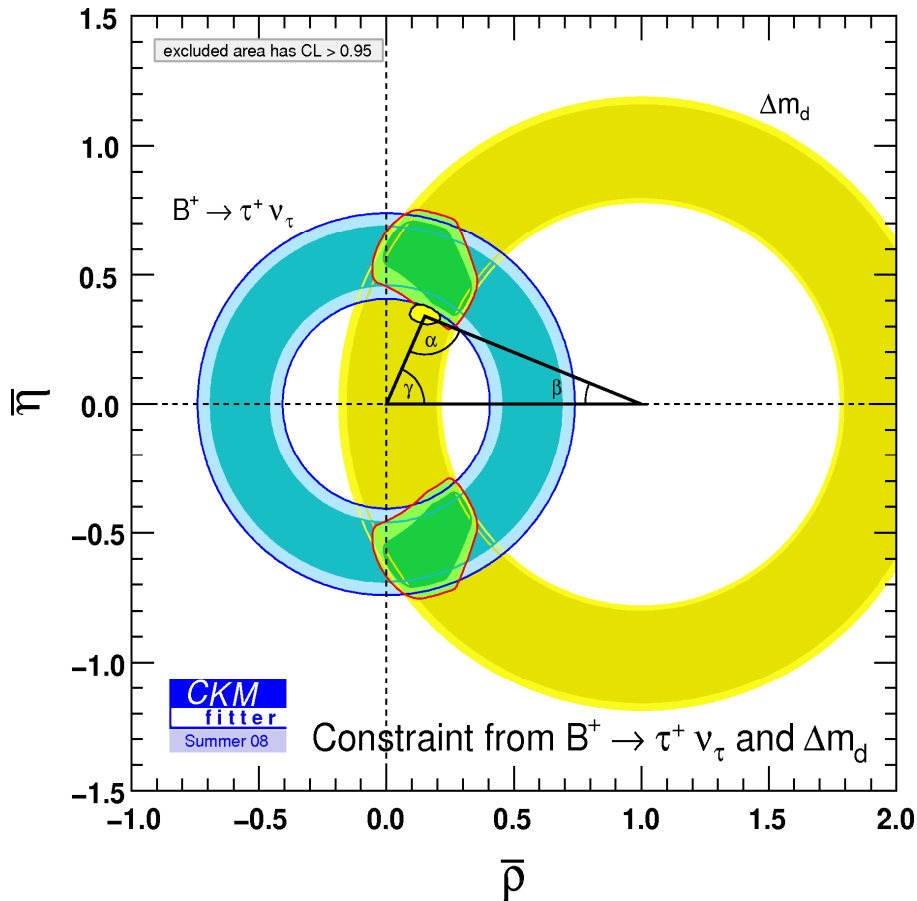
BF[10⁻⁴] = 0.796^{+0.154}_{-0.093}



**$B^+ \rightarrow \tau^+ \nu$
theory.**

Powerful together with Δm_d : **removes f_B (Lattice QCD) dependence**
 (left with B_d errors anyway). If error of f_{B_d} small : 2 circles that intersect at $\sim 90^\circ$

$$\frac{BR(B^+ \rightarrow \tau^+ \nu)}{\Delta m_d} = \frac{3\pi}{4} \frac{m_\tau^2 \tau_{B^+}}{m_W^2 S(x_t)} \left(1 - \frac{m_\tau^2}{m_B^2}\right)^2 \frac{\sin^2(\beta)}{\sin^2(\gamma)} \frac{1}{|V_{ud}|^2 B_{B_d}}$$



The tension is not driven by V_{ub} (SL) nor f_{B_d} (nor ϵ_K)