## PeV Decaying Leptophilic Dark Matter at IceCube

#### Marco Chianese

Università degli Studi di Napoli Federico II - INFN

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in collaboration with Boucenna, Mangano, Miele, Morisi, Pisanti, Vitagliano





## Outline

- IceCube data
- Sources of high energy neutrinos
  - Astrophysical sources
  - Dark Matter (DM)
- Leptophilic PeV decaying Dark Matter
  - Models
  - Results

#### IceCube: 3 years events



#### IceCube: 4 years events



#### Key feautres



#### **Key feautres**



#### Astrophysical sources

• The measured IceCube data can be explained by some astrophysical scenario.

#### **Unbroken Power Law**

- SuperNova Remnants
- Gamma-Rays Burst
- Active Galactic Nuclei
- $E_{\nu}^{2} \frac{dJ_{\text{Ast}}}{dE_{\nu}} \left( E_{\nu} \right) = J_{0} \left( \frac{E_{\nu}}{100 \text{ TeV}} \right)^{2-\gamma} \exp\left( -\frac{E_{\nu}}{E_{0}} \right)$

#### **Broken Power Law**

• The neutrinos are produced by Cosmic Rays through hadronic interactions.

*pp* interactions

expected for CR reservoirs, where CR escaping from their accellerators are confined in magnetized environments for a long time

$$oldsymbol{p} \gamma$$
 interactions

mostly cosmogenic interactions of CR in the intergalactic space

#### SuperNova Remnants

• SuperNovae Remnants are described by a Broken Power Law.



#### Gamma-Ray Burst

• Strong correlations with the gamma-rays produced by hadronic interactions.



#### Gamma-Ray Burst

• Strong correlations with the gamma-rays produced by hadronic interactions.



#### **Active Galactic Nuclei**

• AGN can explain only PeV neutrinos.



## Origin of IC events: our assumption

- IceCube events could be also related to the Dark Matter (DM).
- The lack of data (0.3-1.0 PeV) and the cut-off above 2 PeV are in favor of DM interpretaion.



#### Dark Matter & IceCube



#### For PeV DM the annihilation is negligible with respect to decay

$$\Gamma_{\text{Events}} \sim V L_{\text{MW}} n_{\text{N}} \sigma_{\text{N}} \left( \frac{\rho_{\text{DM}}}{m_{\text{DM}}} \right)^2 \langle \sigma_{\text{Ann}} v \rangle \lesssim 1 \text{ per few hundred years}$$

$$\mathbf{Annihilation}$$

$$\Gamma_{\text{Events}} \sim V L_{\text{MW}} n_{\text{N}} \sigma_{\text{N}} \frac{\rho_{\text{DM}}}{m_{\text{DM}}} \Gamma_{\text{DM}} \sim \left( \frac{\lambda}{10^{-29}} \right)^2 / \text{ year}$$

$$\mathbf{Decay}$$

#### Dark Matter & IceCube



For PeV DM the annihilation is negligible with respect to decay

**unless** *Feldstein et al, PR D88:015004 (2013)* 

 $\langle \sigma_{\rm Ann} v \rangle$ 

DM is captured in large Celestial bodies like the Sun or cluster of galaxies, enhancing the density

 $\Gamma_{\rm Events} \sim V L_{\rm MW} n_{\rm N} \sigma_{\rm N} \left( \frac{\rho_{\rm DM}}{\sigma_{\rm N}} \right)$ 

IceCube, PRL 110:131302 (2013) IceCube, PR D88:122001 (2013)

#### Dark Matter & IceCube



For PeV DM the annihilation is negligible with respect to decay unless Feldstein et al, PR D88:015004 (2013)

 $\rho_{\rm DM}$ 

$$\Gamma_{\rm Events} \sim V L_{\rm MW} n_{\rm N} \sigma_{\rm N}$$

Agashe et al., JCAP14 Bhattacharya et al., JCAP15 Berger et al., JCAP 15 Kopp et al., JHEP15

DM is boosted, increasing the relative velocity

 $\langle \sigma_{\rm Ann} v \rangle$ 

#### **Boosted Dark Matter**



#### Ruled out by the 2.6 PeV track event!

• In the scenario of decay, for a gauge-singlet fermionic DM the possible decay operators are

Dimensions	DM decay operators			
4	$\overline{L}H^{c}X$			
5	_			
6	$\bar{L}E\bar{L}X,  H^{\dagger}H\bar{L}H^{c}X,  (H^{c})^{t}D_{\mu}H^{c}\bar{E}\gamma^{\mu}X,$			
	$\bar{Q}D\bar{L}X, \ \bar{U}Q\bar{L}X, \ \bar{L}D\bar{Q}X, \ \bar{U}\gamma_{\mu}D\bar{E}\gamma^{\mu}X,$			
Haba od al	$D^{\mu}H^{c}D_{\mu}\bar{L}X,  D^{\mu}D_{\mu}H^{c}\bar{L}X,$			
arXiv:1008.4777	$B_{\mu\nu}\bar{L}\sigma^{\mu\nu}H^cX,  W^a_{\mu\nu}\bar{L}\sigma^{\mu\nu}\tau^aH^cX$			

 The renormalizable SM-DM coupling yields to a 2 bodies DM decay with some channels producing one primary neutrino.







• Secondary neutrinos produced by **quarks** allow to fit all data even through 2 bodies decay with an **unnatural coupling**.

$$y = \mathcal{O}\left(10^{-30}\right)$$



- We want to consider a SM-DM coupling with the following characteristics:
  - non-renormalizable



"natural" small coupling

 $\frac{y}{M_{\rm Pl}^n}\chi\dots$ 

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• direct coupling with neutrino





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• There exsist only one operator with those characteristcs.

Haba ed al., arXiv:1008.4777

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(hasture)), ereelles	4	$\overline{L}$		
multi body decay	upling 5	_		
primary v flux	6	$\overline{L}E\overline{L}X,  H^{\dagger}H\overline{L}H^{c}X,  (H^{c})^{t}D_{\mu}H^{\prime}\overline{E}\gamma^{\mu}X,$		
		$\bar{Q}D\bar{L}X, \ \bar{U}Q\bar{L}X, \ \bar{L}D\bar{Q}X, \ \bar{U}\gamma_{\mu}D\bar{E}\gamma^{\mu}X,$		
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negligible contribu	tion	$\bar{Q}DXX, \ \bar{U}QXX, \ \bar{L}DQX, \ \bar{U}\gamma_{\mu}DX\gamma^{\mu}X,$			
at low energy		$D^{\mu}H^{\circ}\mathcal{R}_{\mu}\bar{L}X,  D^{\mu}D_{\mu}H^{c}\bar{L}X,$			
		$B_{\mu\nu}\bar{L}\sigma^{\mu\nu}H^cX,  W^a_{\mu\nu}\bar{L}\sigma^{\mu\nu}\star^aH^cX$			

# Does a symmetry exist in order to have only this operator?

#### Symmetries and Models

# Allowed $\frac{y_{\alpha\beta\gamma}}{M_{\rm Pl}^2} \left( \overline{L_{\alpha}}\ell_{\beta} \right) \left( \overline{L_{\gamma}}\chi \right)$

Forbidden  $\overline{L}H^c\chi$  + h.c.

• We can use Abelian U(1) symmetry:

	$L_e, \ell_e$	$L_{\mu}, \ell_{\mu}$	$L_{\tau}, \ell_{\tau}$	$\phi$	$\chi$
$U(1)_{\chi}$	1	4	2	0	3

U(1) flavour indices  $\{\mu,e,\tau\}+\{\tau,e,\mu\}+\{e,\mu,e\}$ 

• We can use non-Abelian symmetries like  $A_4$ :



A<sub>4</sub> flavour indices

 $\{e, \mu, \tau\}$  + cyclic permutations

#### Neutrino flux from DM

Galactic

• The differential neutrino flux from decaying DM has two components:

$$\frac{d\phi_{\nu}}{dE_{\nu}} (E_{\nu}) = \frac{1}{M_{DM}\tau_{DM}} \left( \frac{1}{4\pi} \frac{dN_{\nu}}{dE_{\nu}} [E_{\nu}] \right) \frac{1}{4\pi} \int d\Omega \int_{0}^{\infty} ds \rho [r (s, l, b)]$$
Navarro-Frenk-White
Extragalactic
$$\frac{d\phi_{\nu}}{dE_{\nu}} (E_{\nu}) = \frac{\Omega_{DM}\rho_{c}}{M_{DM}\tau_{DM}} \frac{1}{H_{0}} \int_{0}^{\infty} dz \left( \frac{1}{4\pi} \frac{dN_{\nu}}{dE_{\nu}} [(1+z) E_{\nu}] \right) \frac{1}{\sqrt{(\Omega_{\Lambda} + \Omega_{m}) z^{3}}}$$

numerical calculation

#### **Unbroken Power Law**



#### **Broken Power Law**



 $U(1) \operatorname{vs} A_4$ 



#### **Galactic vs Extragalactic**

• Galactic and Extragalactic DM neutrino fluxes are of the same order of magnitude.



#### Outlook: gamma-rays

• The gamma-rays can be observed by other experiment.



# Cherenkov Telescope Aarray

• Energy range from below 100 GeV to above 100 TeV.

#### **Outlook: candidate?**



from Dark Matter Scientific Assessment Group (DMSAG) report (2007) https://science.energy.gov/~/media/hep/pdf/files/pdfs/dmsagreportjuly18\_2007.pdf 29

#### Conclusions

- We had the first observation of extraterrestial high energy neutrinos at IceCube.
- The origin is a mystery (low statistics):
  - Astrophysical sources (SRN, GRB, AGN);
  - Dark Matter decay.
- The decaying DM scenario is very intriguing since it can provide important information and give indications on the direction for future DM experiments.
- The lack of data (0.3-1.0 PeV) and the cut-off above 2 PeV are in favor of DM interpretaion.

#### Conclusions

- We have studied the possibility that the PeV events are due to DM decay, taking into account a non-renormalizable SM-DM coupling.
- The Broken Power Law (like SNR) and the DM signal are in good agreement with the IceCube data.
- The DM scenario can be easily tested in the future (lack of data and sharp cut-off) with IceCube and other experiments (like CTA).
- We need **more statistics** to understand the origin of high energy neutrinos (IceCube 2gen with 10 events per years).

#### Conclusions

- We have studied the possibility that the PeV events are due to DM decay, taking into account a non-renormalizable SM-DM coupling.
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#### Thank you for your attention

## Backup slides

#### Neutrino detection

- Neutrinos are detected in IceCube by observing the Cherenkov light produced in ice by charged particles created when neutrinos interact.
- The deposited energy is measured with a precision of  $\sim$ 15% above 10 TeV.



- CC interactions
- Mostly  $v_{\mu}$
- Angular resolution  $\sim 1^{\circ}$  at 50% CL

$$\nu_{\mu} + N \rightarrow \mu + X$$



- CC and NC interactions
- Mostly  $v_e$  and  $v_{\tau}$
- Angular resolution  $\sim 15^{\circ}$  at 50% CL

$$\nu_e + N \to e + X$$
  
 $\nu_x + N \to \nu_x + X$ 

#### Track



#### Shower



## Background

- The interactions of Cosmic Rays (CR) with the atmophere produce two types of neutrino background.
- The conventional background is neutrinos produced by the decays of π and K.
- The prompt background corresponds to neutrinos coming from the decay of charm.

Terrestial or extraterrestial neutrinos?



#### **Prompt neutrinos**

 While the decay of charged pions and kaons becomes strongly suppressed at high energy (long lifetimes), the decay of charmed particles becomes the dominant source of the atmospheric fluxes for E > 10 TeV.



- The prompt v flux is affected by large uncertainties:
  - nucleon composition of CR;
  - non-perturbative charm production cross section.

#### **Prompt neutrinos**



Could the IceCube neutrino excess be explained only in terms of prompt atmospheric flux?

#### Background: µ veto

- The detector discards the events in which:
  - high energy muons produce first light in the veto region;
  - the deposited energy is lower than 30 TeV.
- For upgoing particles, the Earth is a filter.





#### **Background suppression**



Gaisser, Jeno, Karle, Van Sante, PR D90:023009 (2014) Enberg et al., arXiv:1502,01076 (2015)

#### Downgoing and upgoing isotropy

• The observed Icecube flux is **isotropic**.



Prompt neutrinos (background) cannot explain the IceCube data!

## DM density profile

• We have different kinds of DM density profile:



#### Neutrino energy spectrum

- To evalute the neturino energy specturum  $dN_{\nu}/dE_{\nu}$ , we have developed a MonteCarlo in *Mathematica*.
- There are **6** decay channels with the same Branching Ratio.

$$\operatorname{Br}\left(\chi \to e^{\pm} \mu^{\mp} \nu_{\tau}\right) = \operatorname{Br}\left(\chi \to \mu^{\pm} \tau^{\mp} \nu_{e}\right) = \operatorname{Br}\left(\chi \to \tau^{\pm} e^{\mp} \nu_{\mu}\right) = \frac{1}{6}$$

• We take into all the secondary neutrinos.

$$(\mu) \rightarrow e + \nu_e + \nu_\mu \sim 100\% \qquad \tau \rightarrow e + \nu_e + \nu_\tau \sim 17.8\%$$
2 neutrinos
$$\tau \rightarrow \mu + \nu_\mu + \nu_\tau \sim 17.4\% \qquad \tau \rightarrow \pi + \nu_\tau \sim 10.8\%$$

$$\tau \rightarrow \pi + \nu_\tau \sim 10.8\% \qquad \tau \rightarrow \pi + \nu_\tau \sim 10.8\%$$

 $\rightarrow (\pi) + (\pi^0) + (\pi^0)$ 

- 3 neutrino
- γ-rays



constraint from FERMI